

# Is the Higgs a Composite Dilaton?

arXiv:1702.04410

Ji, Thomas Appelquist and Maurizio Piai



# Plan Of Talk

## 1. Introduction:

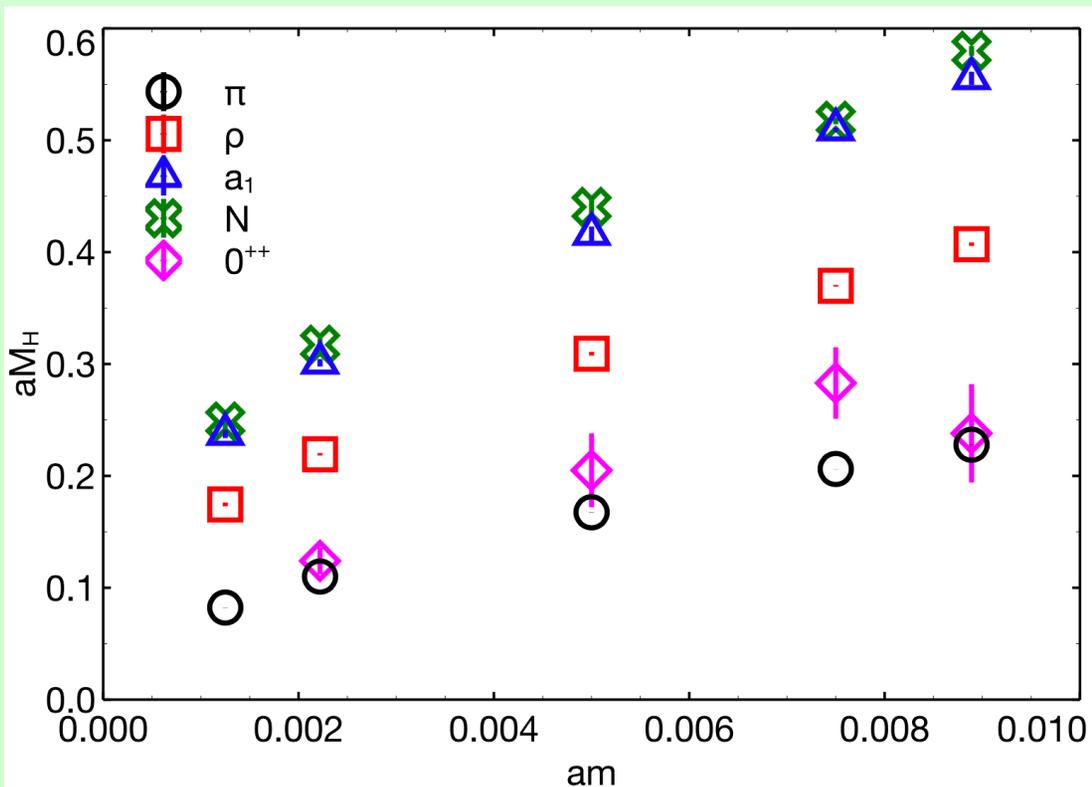
- a. Fitting lattice simulation data with a Dilaton EFT.
- b. Motivation: Finding UV completion of EW sector.

## 2. The EFT Framework

## 3. Comparison with Lattice Data

# Outline Of Our Program

Lattice Simulation Data for  $N_c = 3, N_f = 8$



LSD collaboration – 1601.04027

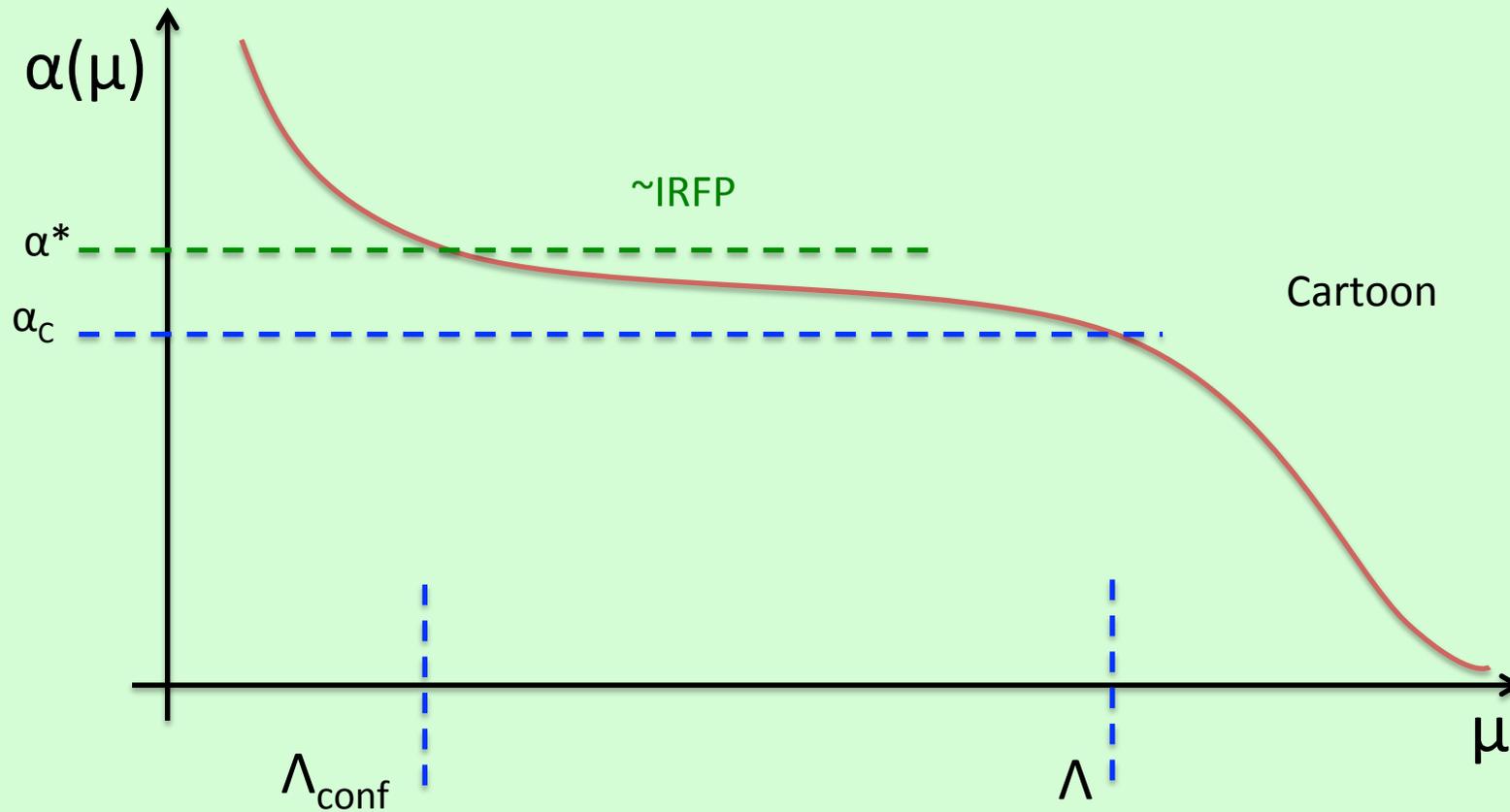
➔  $\mathcal{L} = ?$

$$M_{0^{++}} \ll \Lambda_{\text{conf}}?$$

- Maybe a Higgs boson
- Maybe light due to a symmetry

# Walking Gauge Theories

- Could support a dilaton
- Test by fitting a dilaton EFT to lattice data



# EFT Framework

Field content

Symmetries

$N_f^2 - 1$  NGB fields  $\pi^a$ :

$$SU(N_f)_L \times SU(N_f)_R \rightarrow SU(N_f)_V$$
$$\Sigma = \exp\left\{2i\pi^a T^a / F_\pi\right\} \quad \Sigma \rightarrow L\Sigma R^\dagger$$

Dilaton Field  $\chi$ :

Scale x Poincare  $\rightarrow$  Poincare

$$\phi(x) \rightarrow e^{\lambda d} \phi(e^\lambda x)$$

Work first at tree level

# Terms In The EFT

$$L_\pi = \frac{f_\pi^2}{4} \left( \frac{\chi}{f_d} \right)^2 \text{Tr} \{ \partial_\mu \Sigma \partial^\mu \Sigma^\dagger \}$$

$$L_d = \frac{1}{2} (\partial_\mu \chi)^2$$

$$L_V = -V(\chi)$$

- Potential has a minimum at  $\chi=f_d$ , and curvature  $m_d^2$
- Let the lattice data determine the form of the potential.

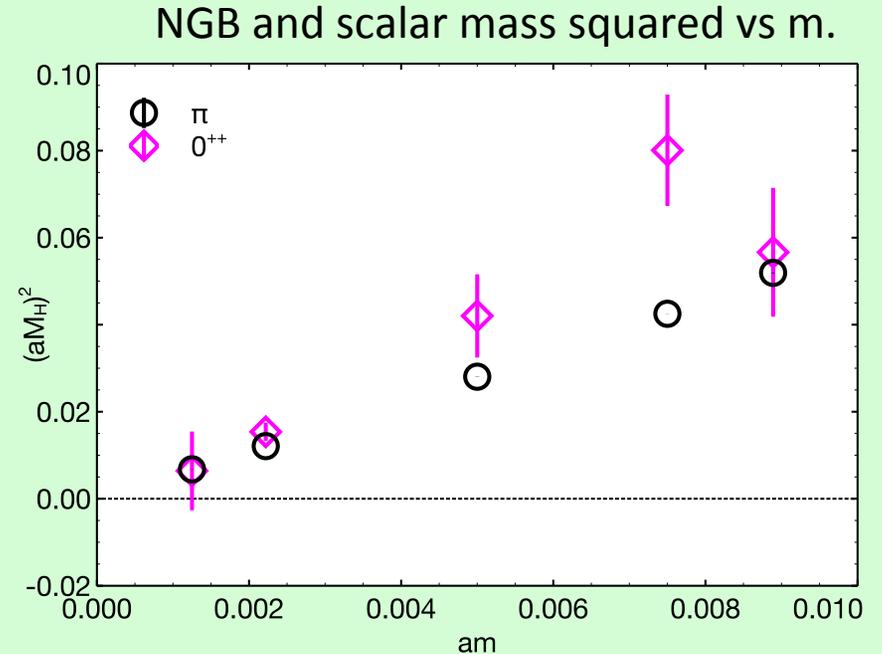
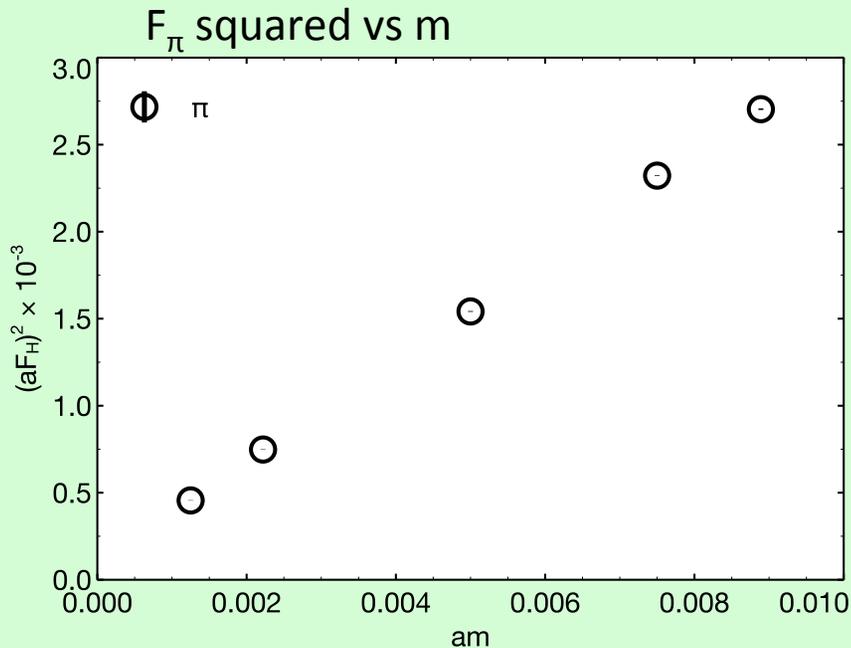
$$L_m = \frac{m_\pi^2 f_\pi^2}{4} \left( \frac{\chi}{f_d} \right)^y \text{Tr} \{ \Sigma + \Sigma^\dagger \}$$

$$m_\pi^2 = 2mB_\pi = \frac{m \langle \bar{\psi} \psi \rangle}{f_\pi^2}$$

- Quark mass term breaks both scale and chiral symmetry.
- $y \sim$  Scaling dimension of  $\bar{\psi} \psi$  ?
- 5 EFT parameters:  $f_\pi, f_d, B_\pi, m_d, y$
- Similar terms have appeared before eg 1603.04575

# Comparison with LSD Data

$N_c = 3, N_f = 8$



Lattice data for  $F_\pi$  and  $M_\pi$  can determine  $\gamma$  accurately.

$$M_\pi^2 F_\pi^{2-y} = Cm$$



$$\gamma = 2.1 \pm 0.1$$

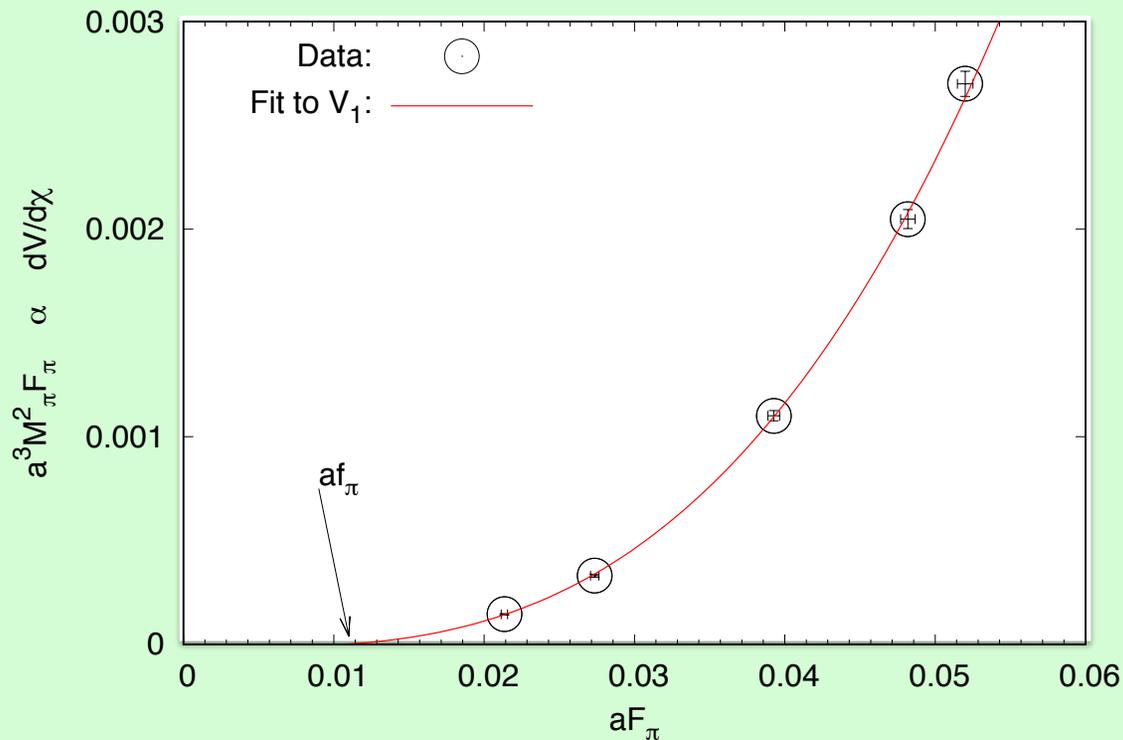
Scaling dimension  
of  $\bar{\psi}\psi = 2?$

The form of the potential can be determined too:

“Inverse scattering problem”

$$\left. \frac{\partial V}{\partial \chi} \right|_{F_d} = \frac{y N_f f_\pi}{f_d} M_\pi^2 F_\pi$$

$\partial V / \partial \chi$  vs  $\chi$

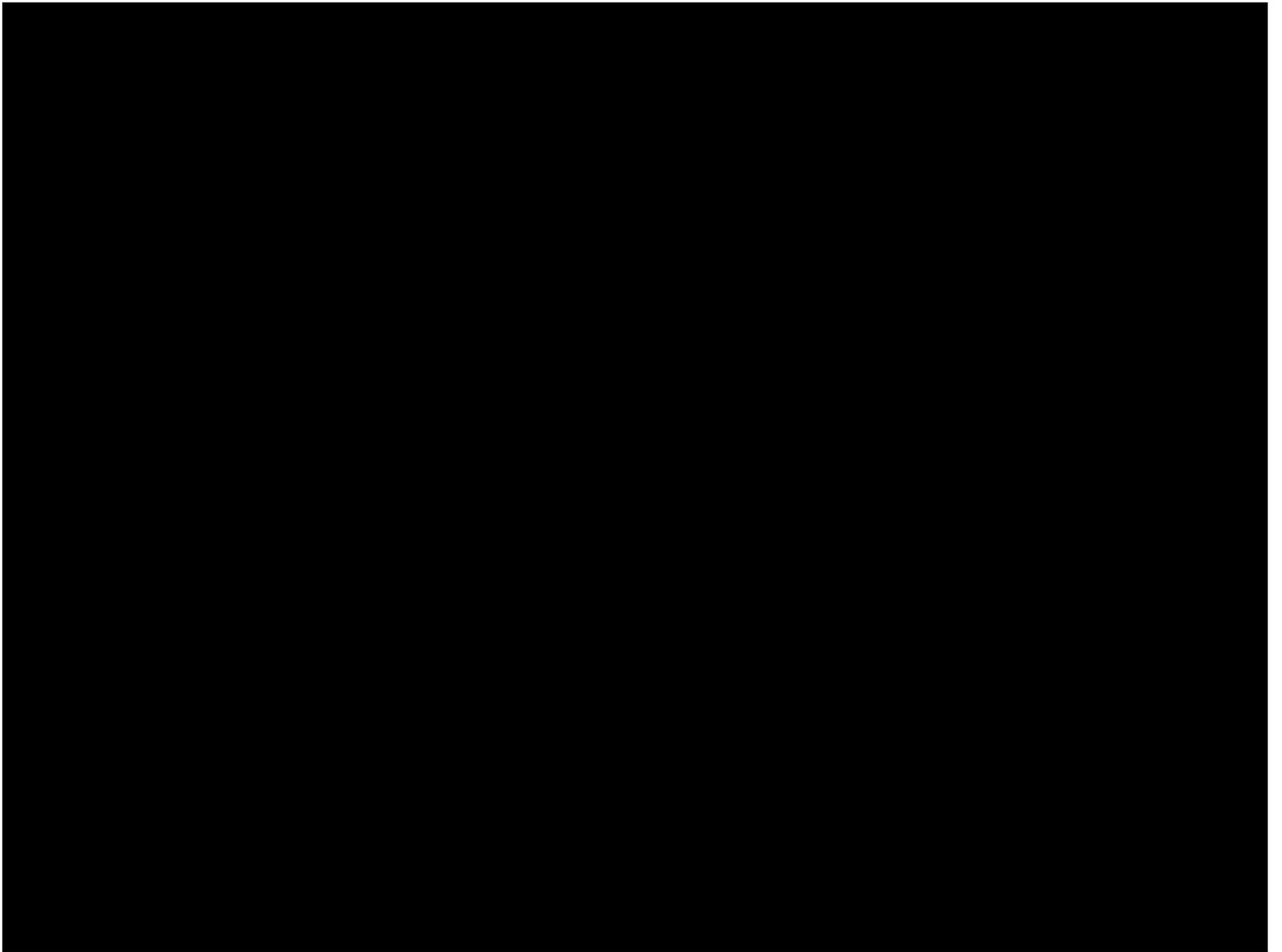


$$F_\pi \propto F_d$$

$$V_1(\chi) = \frac{m_d^2}{8f_d^2} (\chi^2 - f_d^2)^2$$

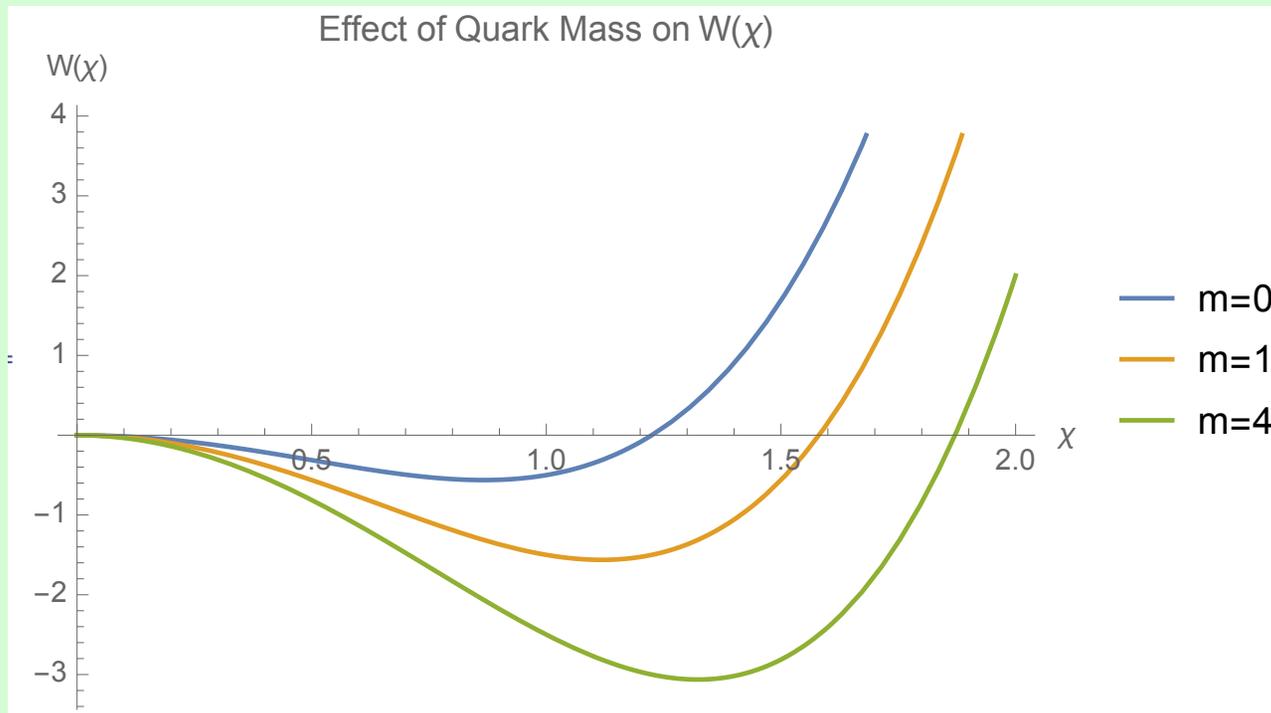
# Conclusions

- We've developed a framework to test whether the light scalar in walking theories is a dilaton, without needing negligible quark mass.
- Our EFT framework fits the  $N_f=8$  LSD data well.
- In future, we can extend by calculating loop corrections.
- Our framework makes predictions, which can be tested on the lattice.



# Key Features Of Framework

$$W(\chi) = V(\chi) - \frac{N_f m_\pi^2 f_\pi^2}{2} \left( \frac{\chi}{f_d} \right)^y \quad F_\pi \propto F_d$$



Minimum of combined potential gives  $\langle \chi \rangle = F_d$

# Bounds On Model

- Lattice calculations suggest that S parameter is suppressed relative to QCD - see 1602.00796, 1405.4752, 1009.5967.
- Direct detection of heavy spin 1 states challenging due to their large width.
- Coupling of SM fermions to these walking models is model dependent.