



EVENT PLANE DETERMINATION



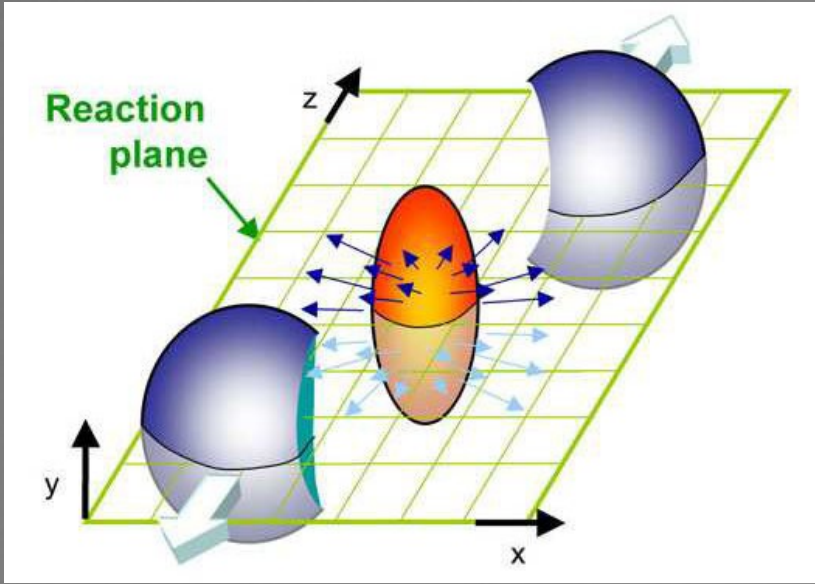
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ALICE-INDIA COLLABORATION MEETING
MARCH 15-17,2017
VECC,KOLKATA

Outline :

- ♦ WHAT IS REACTION PLANE / EVENT PLANE
- ♦ OUR PROBLEM
- ♦ CORRECTION METHODS
- ♦ RESULTS
- ♦ SUMMARY

Theory :



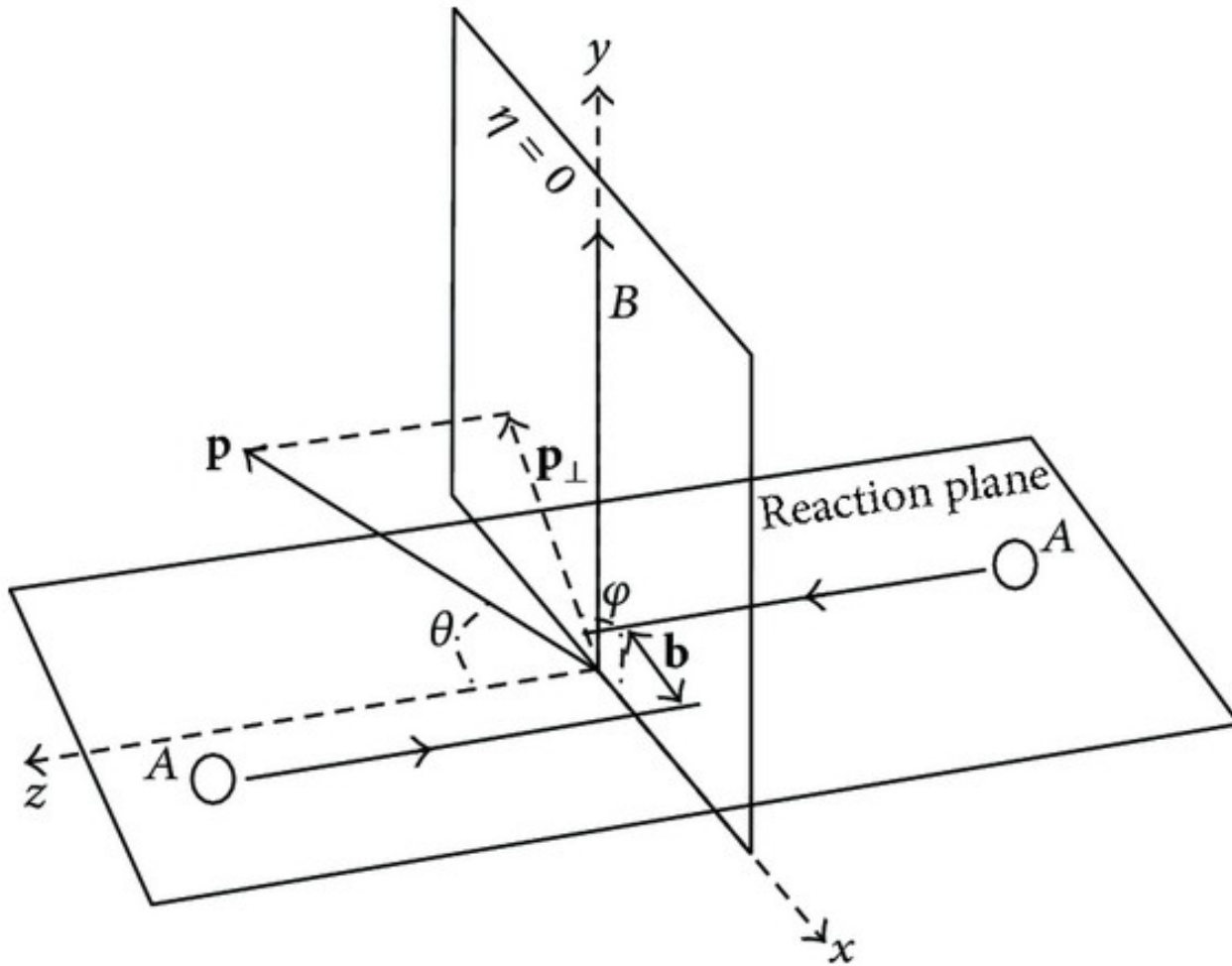
- **REACTION PLANE (RP)** - Plane formed by IMPACT PARAMETER VECTOR “b” and the collision axis. (For central collision i.e. $b=0$, RP can't be defined)
- In practice, we can not find RP but can only approximate and this approximated RP is known as **EVENT PLANE**.
- Event Flow Vector “ Q_n ” and Event Plane Angle ψ_n from the n-th harmonics are defined as :

$$Q_n \sin(n \Psi_n) = Y_n = \sum_i w_i \sin(n \phi_n) \qquad Q_n \cos(n \Psi_n) = X_n = \sum_i w_i \cos(n \phi_i)$$

$$\Psi_n = \frac{\arctan\left(\frac{\sum_i w_i \sin(n \phi_n)}{\sum_i w_i \cos(n \phi_n)}\right)}{n}$$

Where w_i is weights and ϕ_n is particle's azimuthal angle.

Schematic Diagram of Reaction Plane :



For the detectors with Perfect azimuthal acceptance i.e.

$$0 \leq \phi \leq 2\pi$$

Reaction plane is isotropic.

Due to finite acceptance of detectors, Anisotropy in an Event Plane occurs.

To remove the anisotropy, Two different methods are used.

Methods of Correction :

FIRST METHOD (*) : This correction method is defined by introducing a new angle $\Delta \Psi_n$ as:

$$\Psi_n' = \Psi_n + \Delta \Psi_n$$

where

$$n \Delta \Psi_n = \sum_i^{i_{\max}} \left(\left(\frac{-2}{i} \langle \sin(i n \Psi_n) \rangle \cos(i n \Psi_n) \right) + \left(\frac{2}{i} \langle \cos(i n \Psi_n) \rangle \sin(i n \Psi_n) \right) \right)$$

Where “n” is harmonics and “ i_{\max} ” is usually taken as 4/n for n = 1,2 .

This method removes possible biases due to imperfect calibration, dead channels or any other detector defects at least upto second order.

*Phys.Rev. C56 (1997) 3254-3264

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Methods of Correction (contd.) :

SECOND METHOD^(#): Estimation of REACTION PLANE can be obtained from EVENT FLOW VECTOR Q_n which is $Q_n = \sum_{EP} u_n$ where “ u_n ” is a unit vector defined as

$$u_n = x_n + i y_n \equiv \cos(n\phi) + i \sin(n\phi)$$

Due to imperfect azimuthal acceptance of detector, absolute value of “ u_n ” does not remain unity. To make “ u_n ” unity, three step process is as follows:

1. **RE-CENTERING**: For correcting the shift of u_n -vector due to non-zero values of averaged cosine and sine functions, we do re-centering procedure as:

$$x_n' = x_n - \bar{c}_n \qquad y_n' = y_n - \bar{s}_n$$

Where $c_n = \cos(n\phi)$ and $s_n = \sin(n\phi)$

Methods of Correction :

2. **Re-Twisting** : Twisting due to irregularity in shape of detector can be corrected by following procedure

$$x'' = \frac{x' - \lambda \frac{s^-}{2n} \cdot y'}{1 - \lambda \frac{s^-}{2n} \cdot \lambda \frac{s^+}{2n}} \qquad y'' = \frac{y' - \lambda \frac{s^+}{2n} \cdot x'}{1 - \lambda \frac{s^-}{2n} \cdot \lambda \frac{s^+}{2n}}$$

Where smallness parameter λ is defined as $\lambda \frac{s^\pm}{2n} = \frac{\overline{s_{2n}}}{a_{2n}^\pm}$

3. **Re-Scaling** : After applying above two corrections, re-scaling is done by dividing corrected “x” and “y” by acceptance coefficient

$$x''' = \frac{x''_n}{a_{2n}^+} \qquad y''' = \frac{y''_n}{a_{2n}^-}$$

Where acceptance coefficient is defined as $a_{2n}^\pm = 1 \pm \overline{c_{2n}}$

Data Sets used :

We have studied these two methods on 3 different DATA SETS.

HIJING

System: Pb-Pb @ 2.76 TeV

Centrality: 40-50%

Analyzed charged particles with and without detector effect where in “WITH DETECTOR EFFECT”

we exclude

$45^\circ < \phi < 55^\circ$

TPC

System: Pb-Pb @ 2.76 TeV

Data Set: LHC10h, ESD pass2

Vertex : $-10 < V_z < 10$ cm

Centrality: 40-50%

Eta: $\eta < |0.8|$

Pt: > 0.2 GeV

PMD

System: Pb-Pb @ 2.76 TeV

Data Set: LHC10h, ESD pass2

Vertex : $-10 < V_z < 10$ cm

Centrality: 40-50%

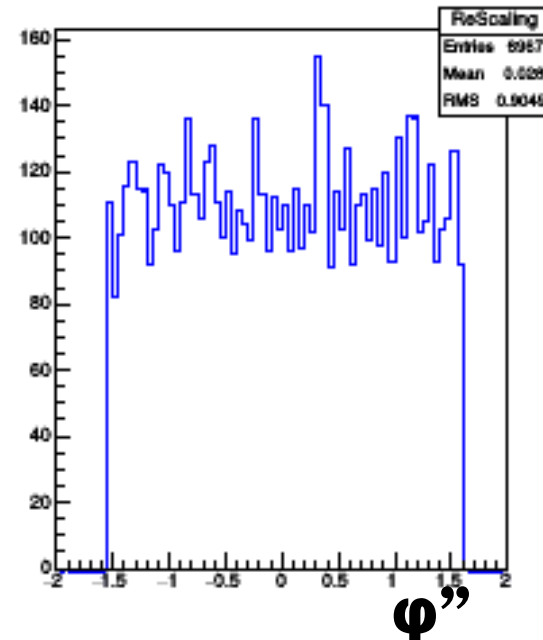
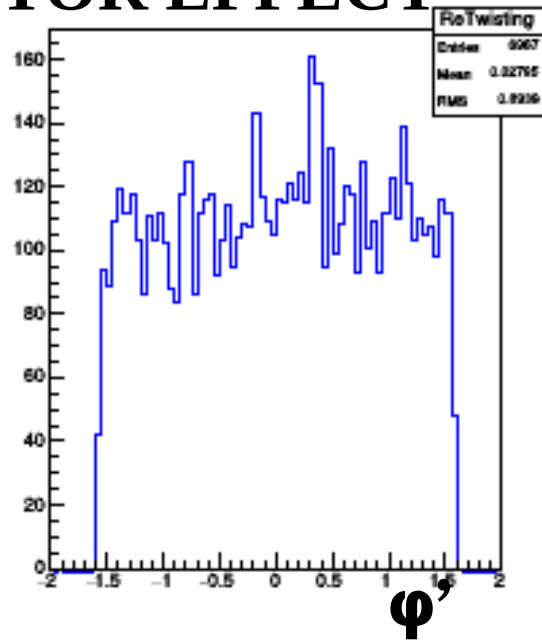
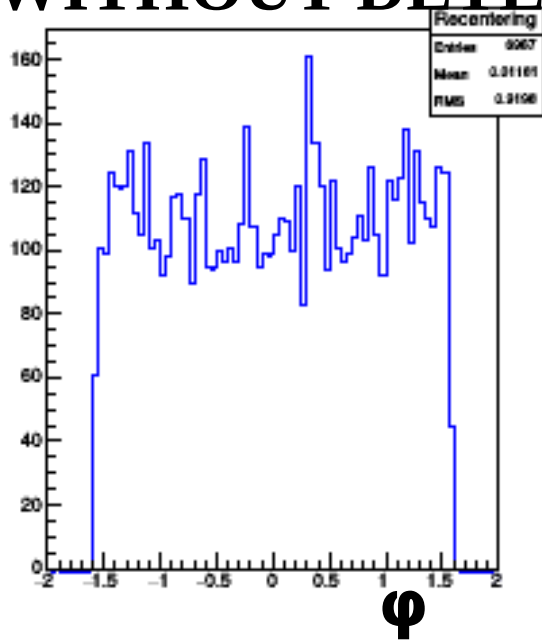
Eta: $2.3 < \eta < 3.5$

Adc > 432 and ncell > 1

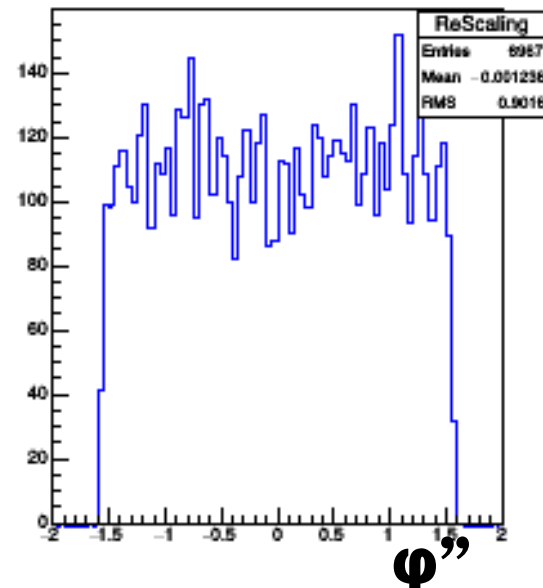
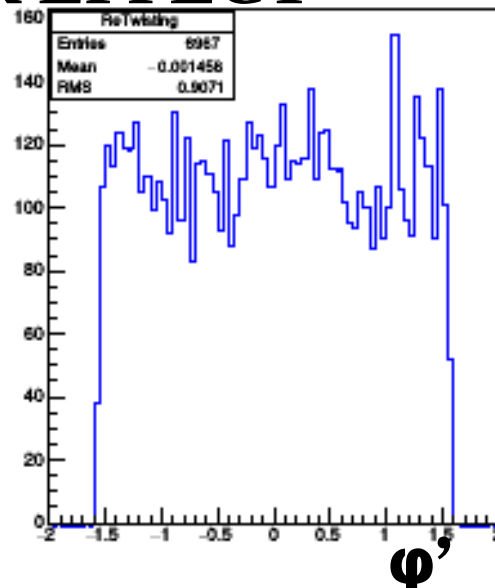
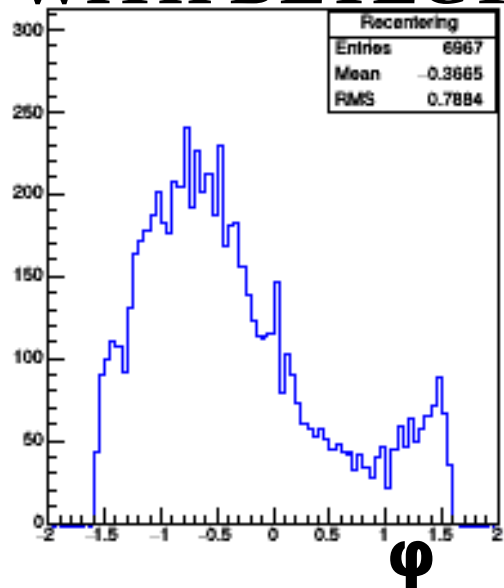
$36 < \text{Adc} \leq 432$

Results(first method) HIJING :

WITHOUT DETECTOR EFFECT

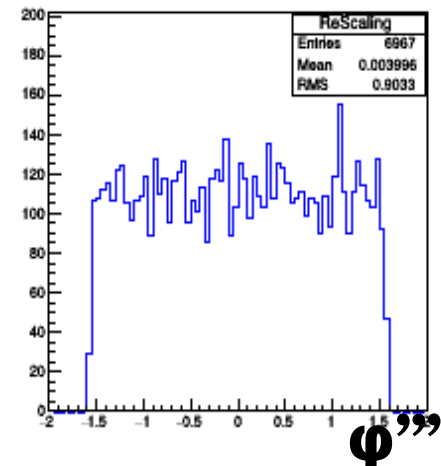
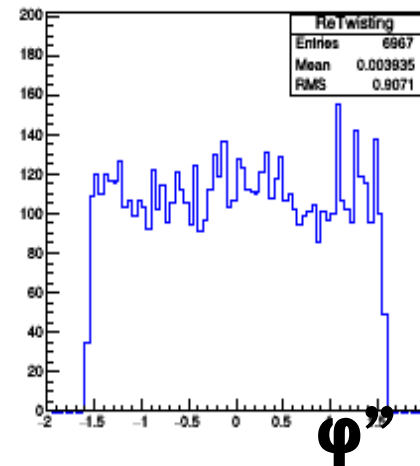
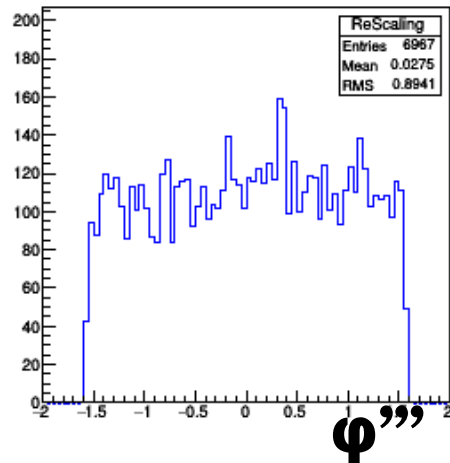
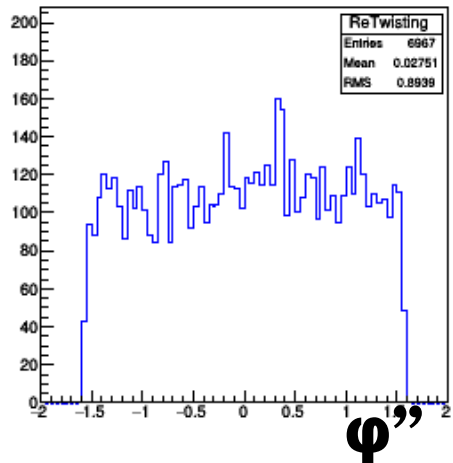
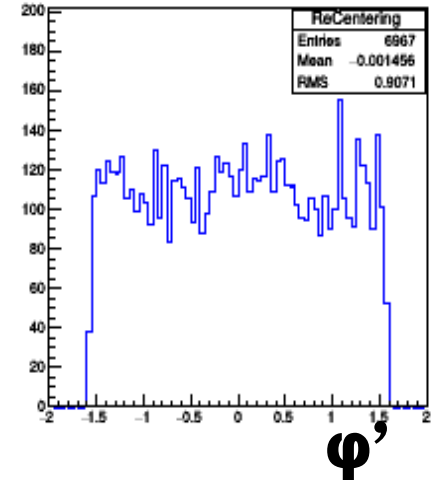
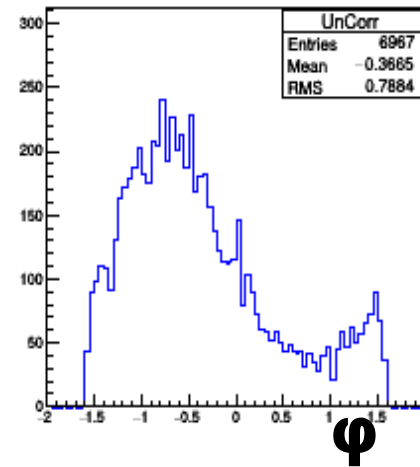
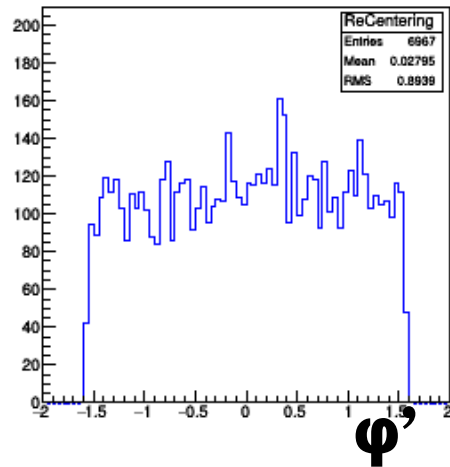
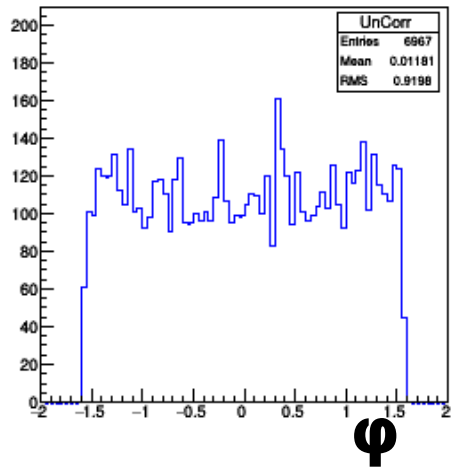


WITH DETECTOR EFFECT



Results (second method)

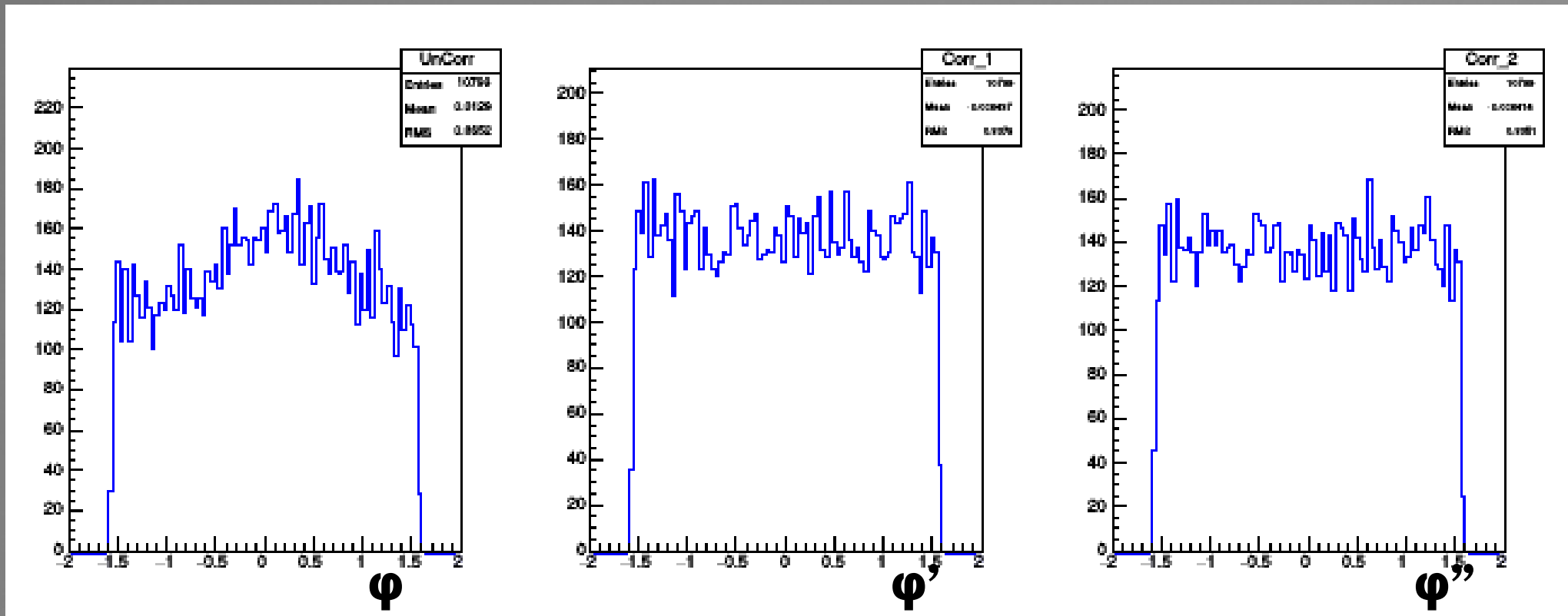
HIJING:



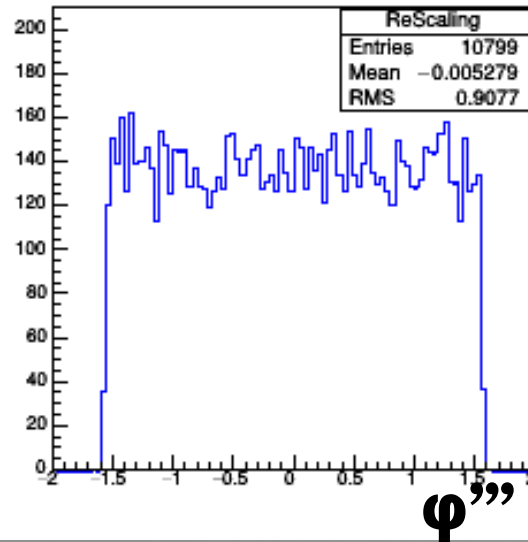
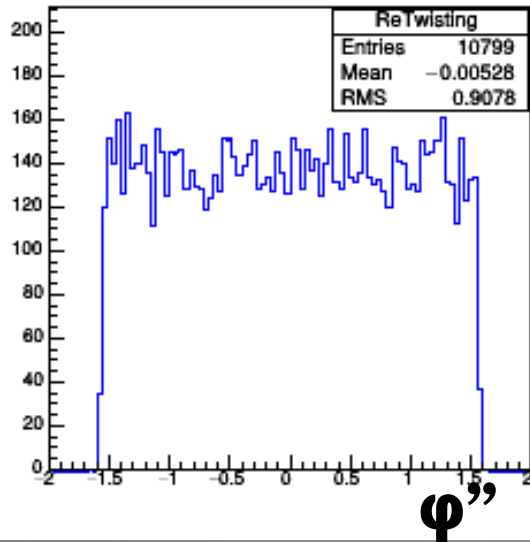
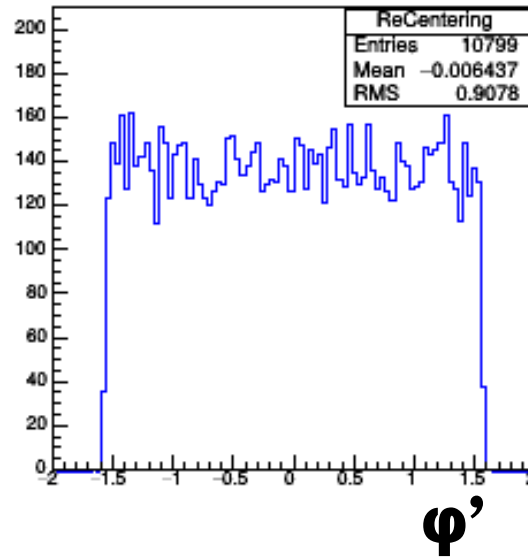
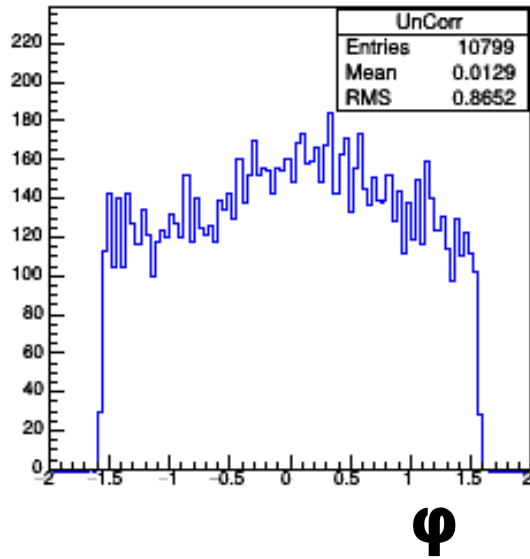
w/o detector effect

with detector effect

Results from TPC : (first method)

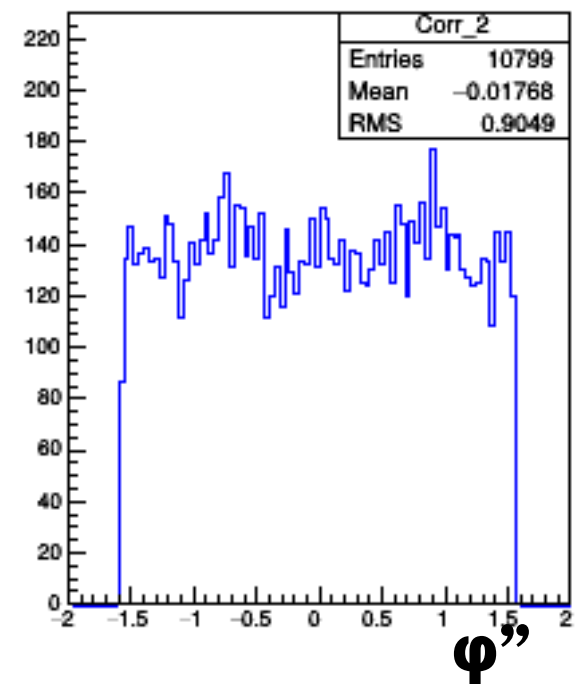
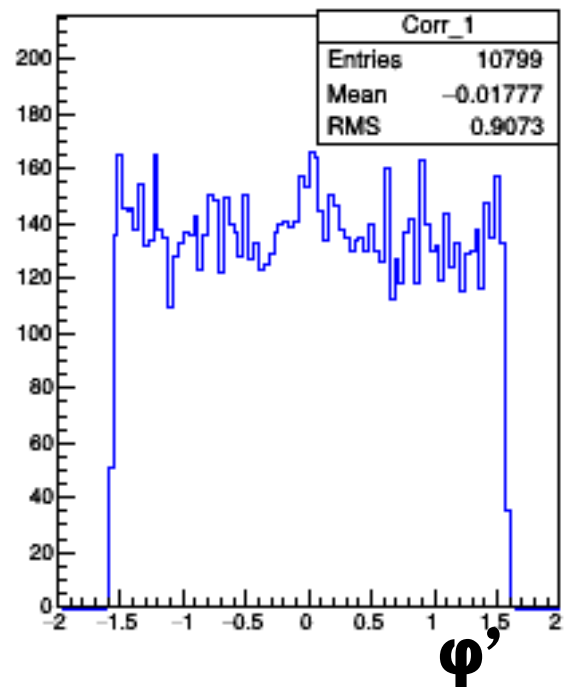
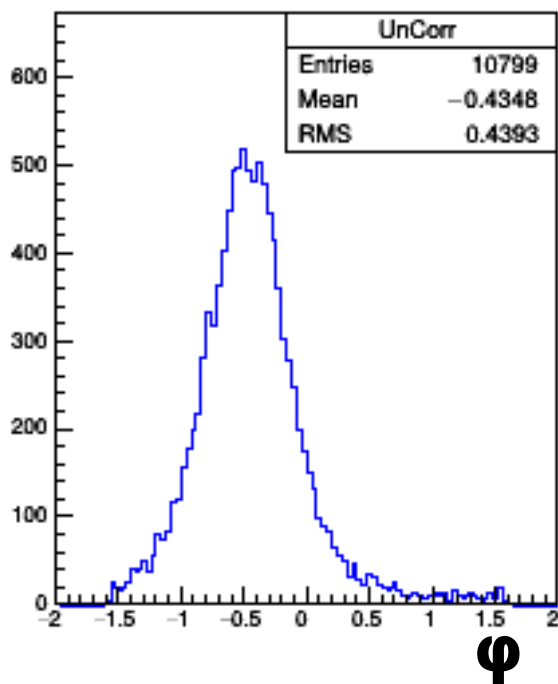


Results from TPC : (second method)



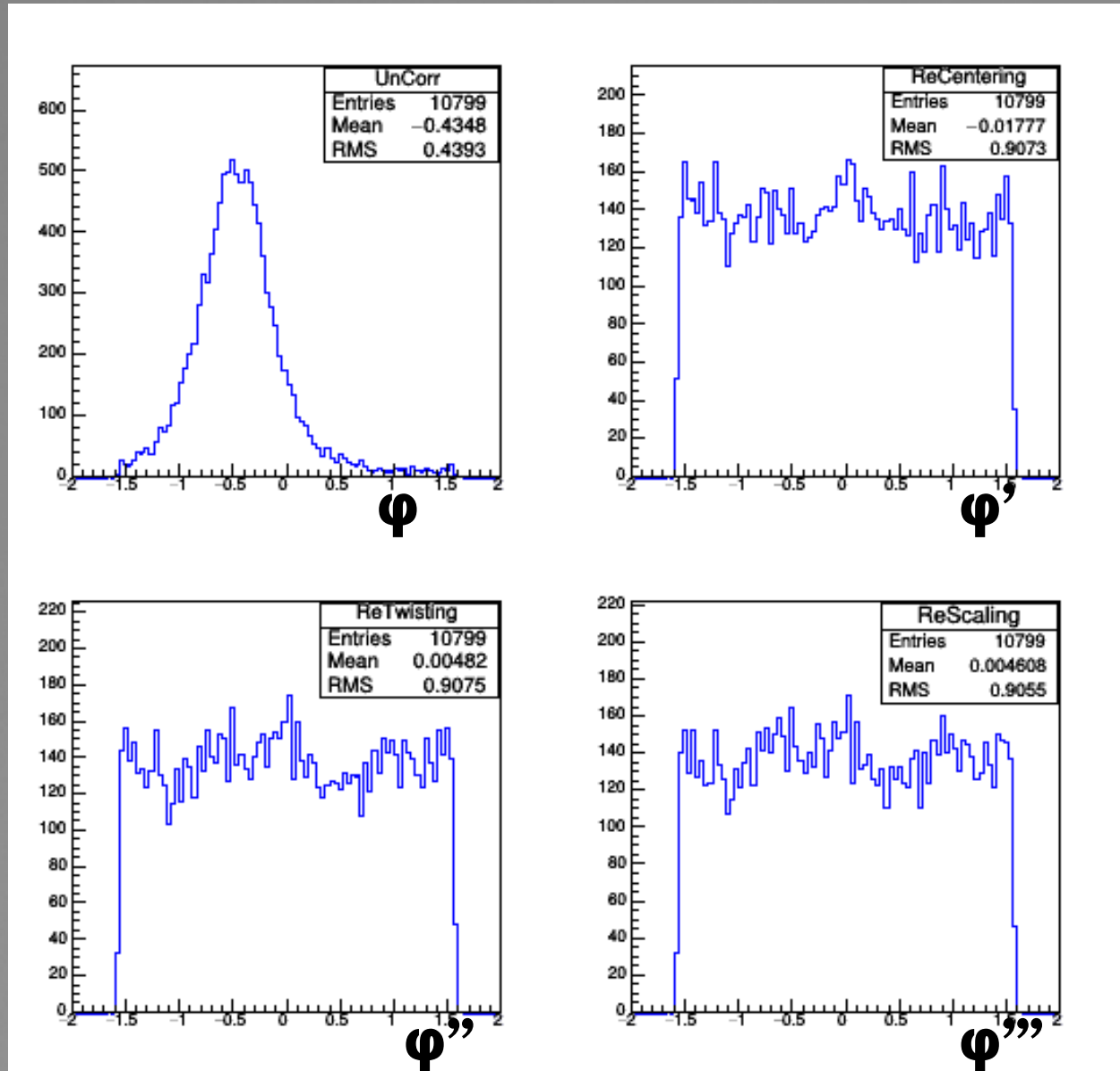
Results from PMD : (first method)

With MipCut adc > 432 and ncell > 1



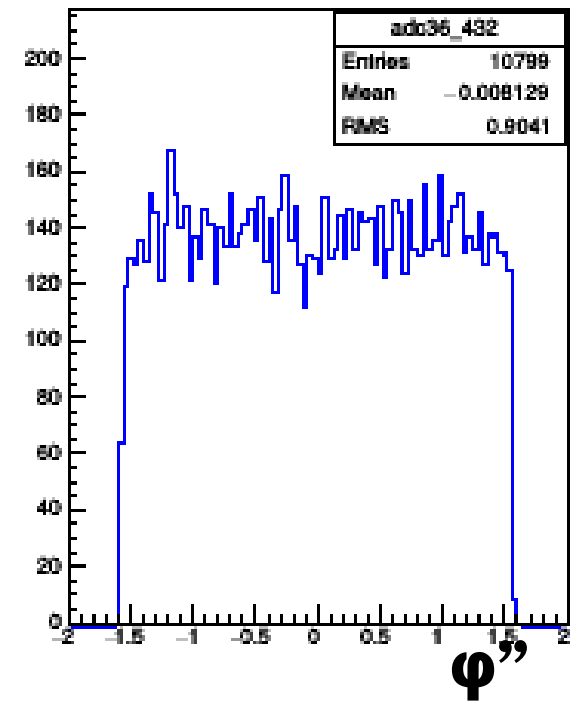
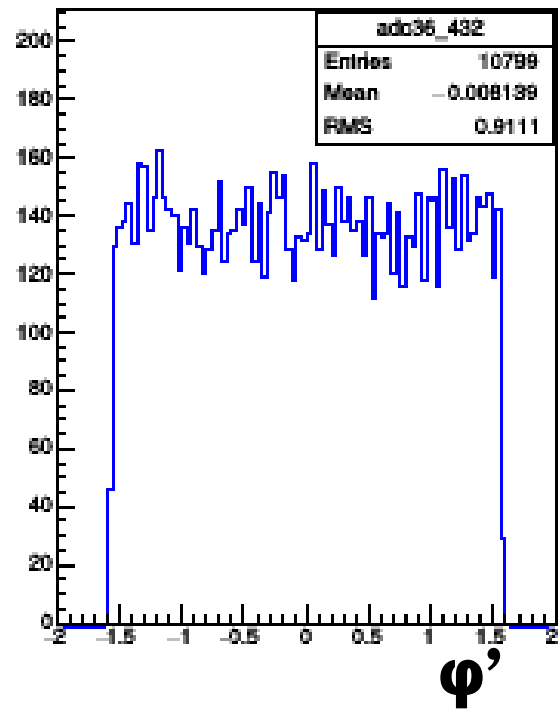
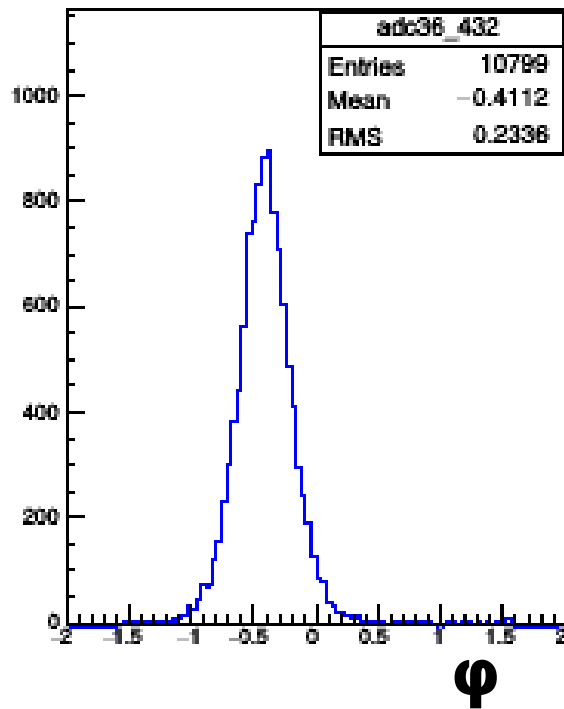
Results from PMD : (second method)

with MipCut adc > 432
and ncell > 1



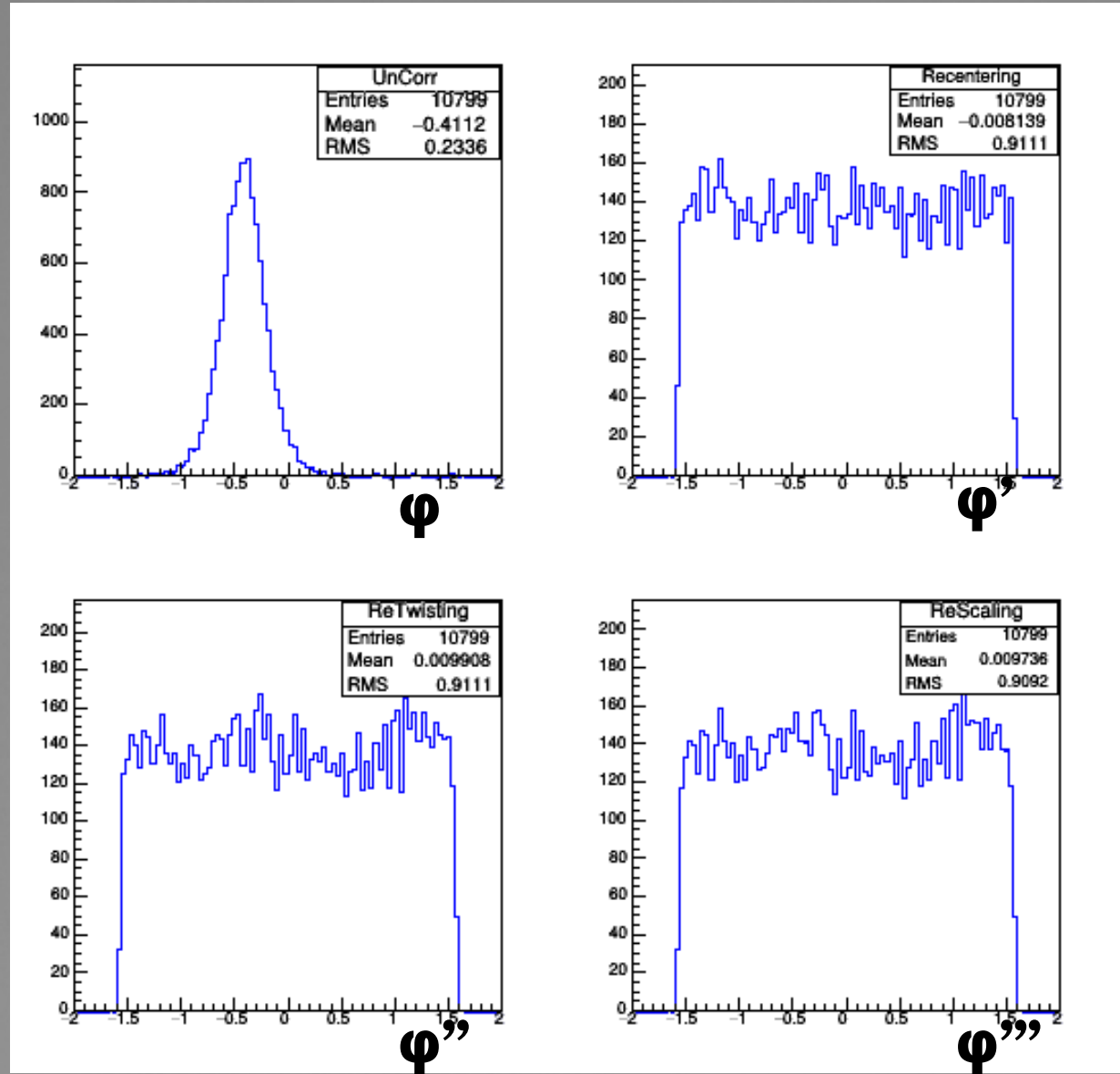
Results from PMD : (first method)

with MipCut: $36 < \text{adc} \leq 432$



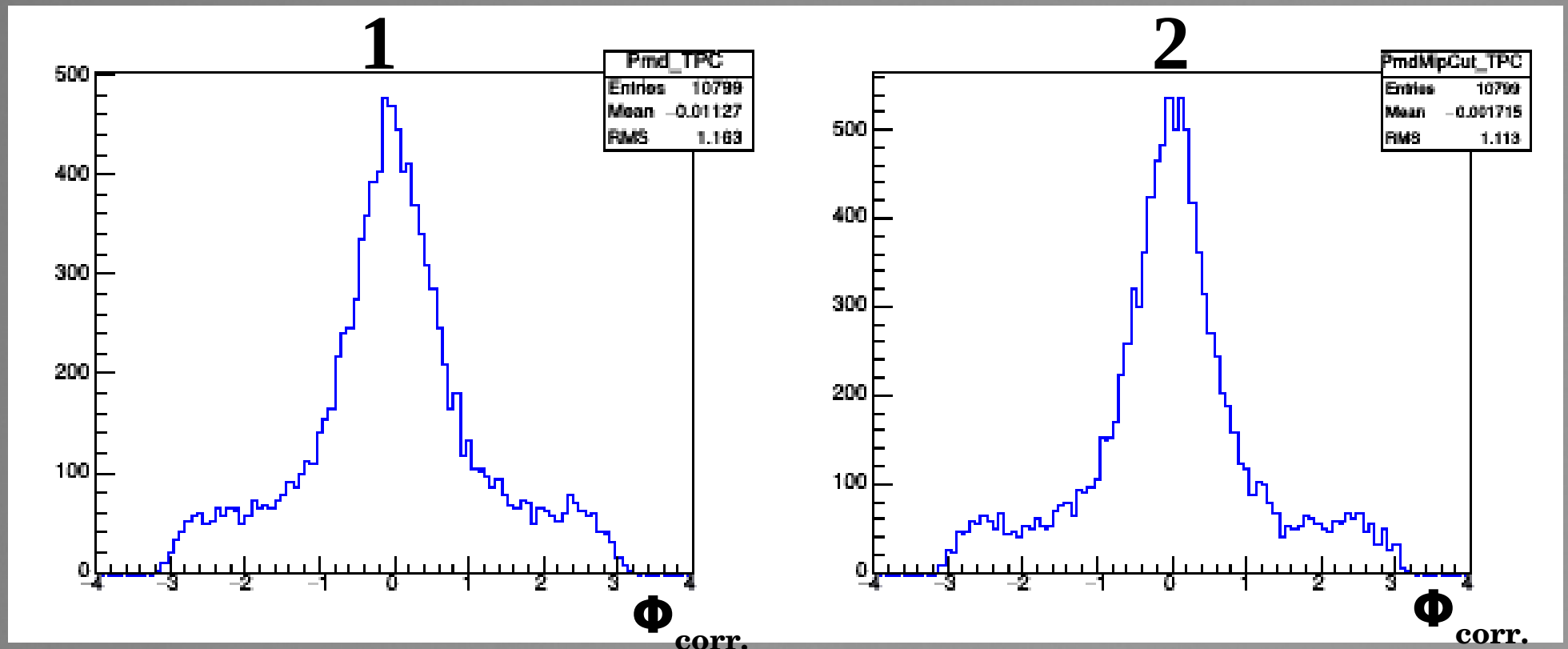
Results from PMD : (second method)

with MipCut:
 $36 < \text{adc} \leq 432$



Results :

1. Difference Plot between corrected TPC event plane and corrected PMD PHOTON-LIKE event plane.
2. Difference Plot between corrected TPC event plane and corrected PMD HADRON-LIKE event plane.



Summary and Future Plans :

- ◆ For an event-by-event study of various properties of QGP i.e., Flow, Chiral Magnetic Effect (CME) etc, the “isotropic Event Plane” is main ingredient.
 - ◆ Event plane from different detectors (PMD and TPC) along with HIJING event plane has been studied and observed no matching between them, which needs the corrections.
 - ◆ These methods work in nice way to improve the flatness of Event plane but upto 2nd order only.
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- Flatness of event plane will be done for V0 and ZDC detectors also.
 - The correlation will also be studied for corrected event planes.

THANKS