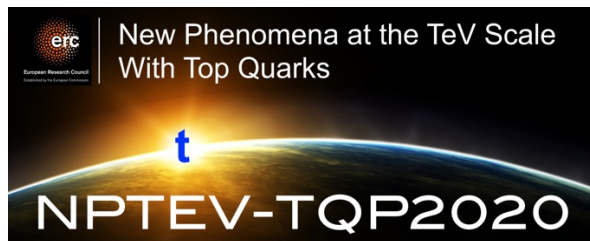


# $t\bar{t}H$ and Exotics in $t\bar{t}+b\bar{b}$ final states with the ATLAS experiment



Michele Pinamonti  
*Università & INFN  
Roma Tor Vergata*



Workshop "DaMESyFLa in the Higgs era"  
15-17 March 2017, SISSA Trieste



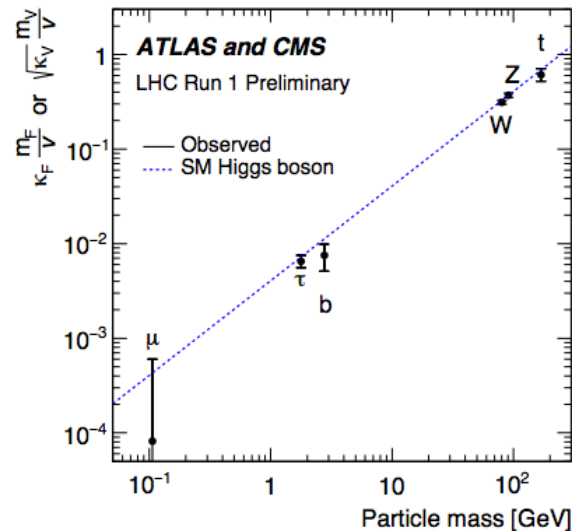
- Title: “ $t\bar{t}H$  and Exotics in  $t\bar{t}+b\bar{b}$  final states with the ATLAS experiment”
  - *alias* “What I have been working on in the past several years”
    - or “Why I have been working on this for so many years”
  - most of the material based on latest ATLAS conference note on  $t\bar{t}H$  search in  $H \rightarrow b\bar{b}$  channel at 13 TeV, released for ICHEP 2016 ▸ ATLAS-CONF-2016-080
- What I will talk about:
  - latest results from 13 TeV data
  - details on different aspects of the analysis techniques, mainly:
    - analysis strategies for complicated final states
    - profile-likelihood fit technique
    - $t\bar{t}$  background modeling
    - multi-variate techniques for signal discrimination

# ttH(bb) analysis in ATLAS

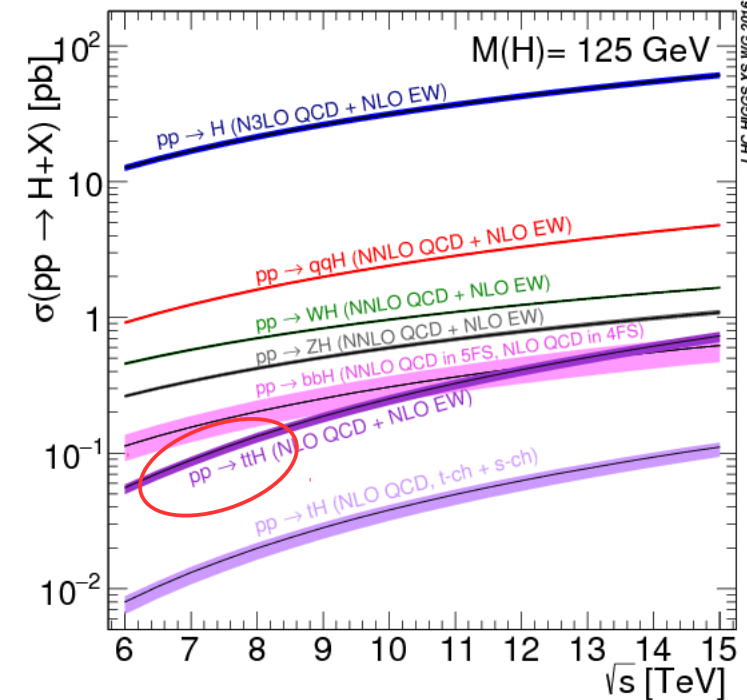
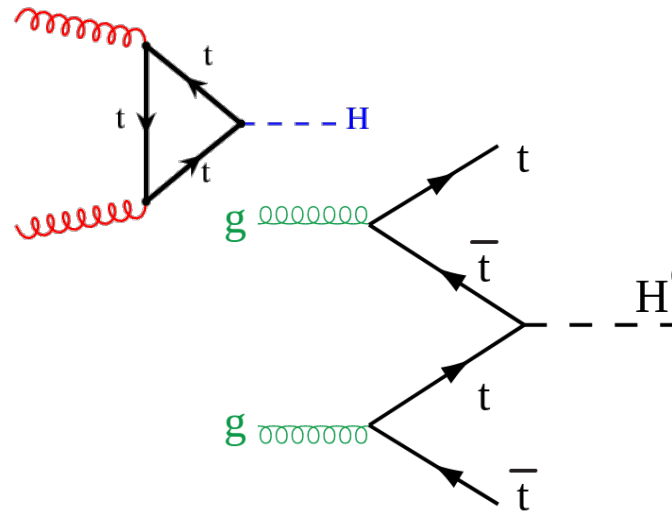
## ttH: importance and overview



- Associated production of SM Higgs boson with top-quark pair:
  - still not established experimentally
  - important to assess  $y_t$  at tree level
  - CP properties of  $t\bar{t}H$  coupling?



► arXiv:1501.03157 [hep-ph]



- Not convinced?
  - from experiment point of view, other reasons to look at  $t\bar{t}H$ :
    - complicated signature, with many final state objects, huge irreducible backgrounds (especially  $H \rightarrow b\bar{b}$  channel)...
    - interesting New Physics processes have similar signatures

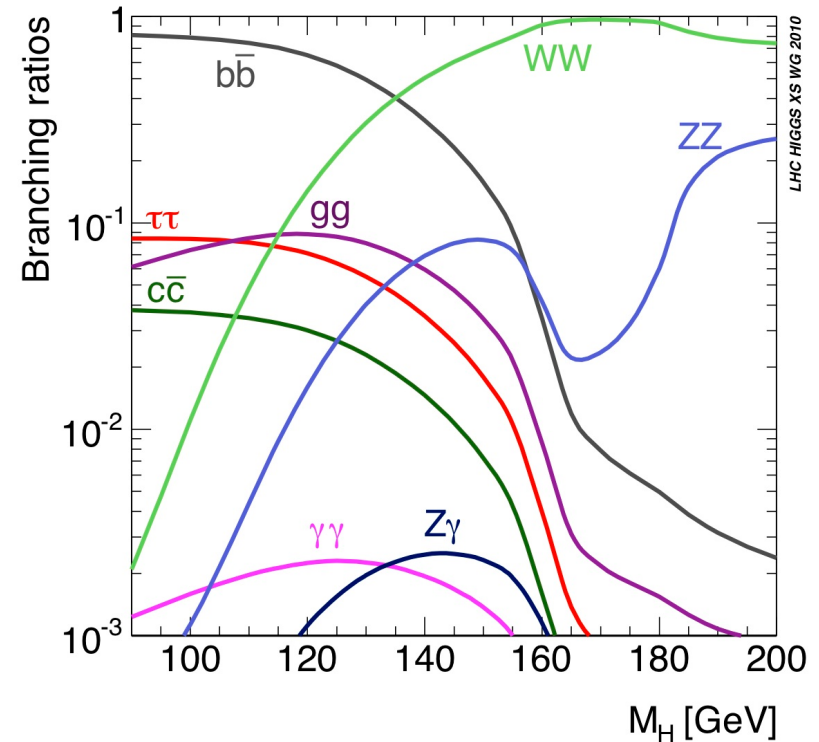
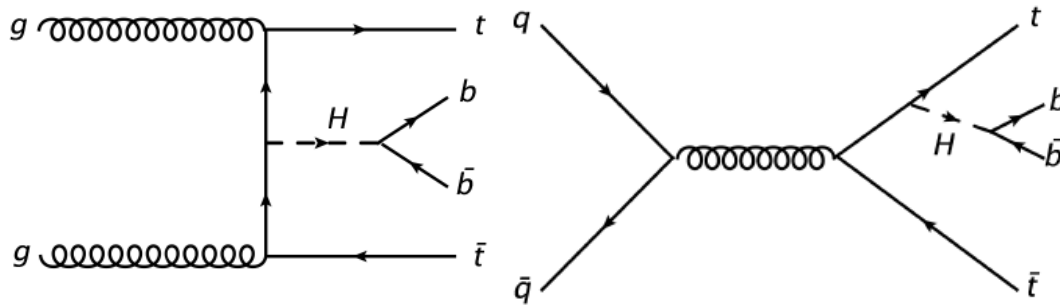
# ttH(bb) analysis in ATLAS

## The ttH, $H \rightarrow bb$ channel

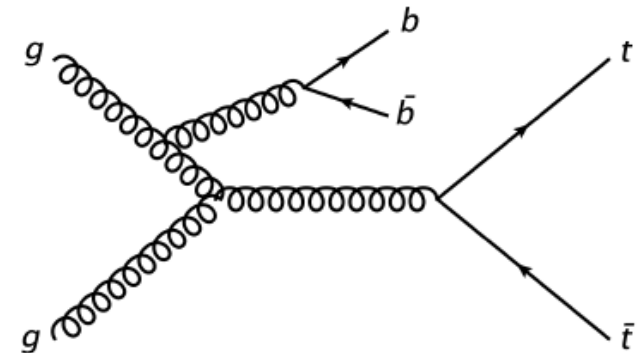


- Opportunities and challenges:

- $H \rightarrow b\bar{b}$  highest BR
- $H$  decay fully visible

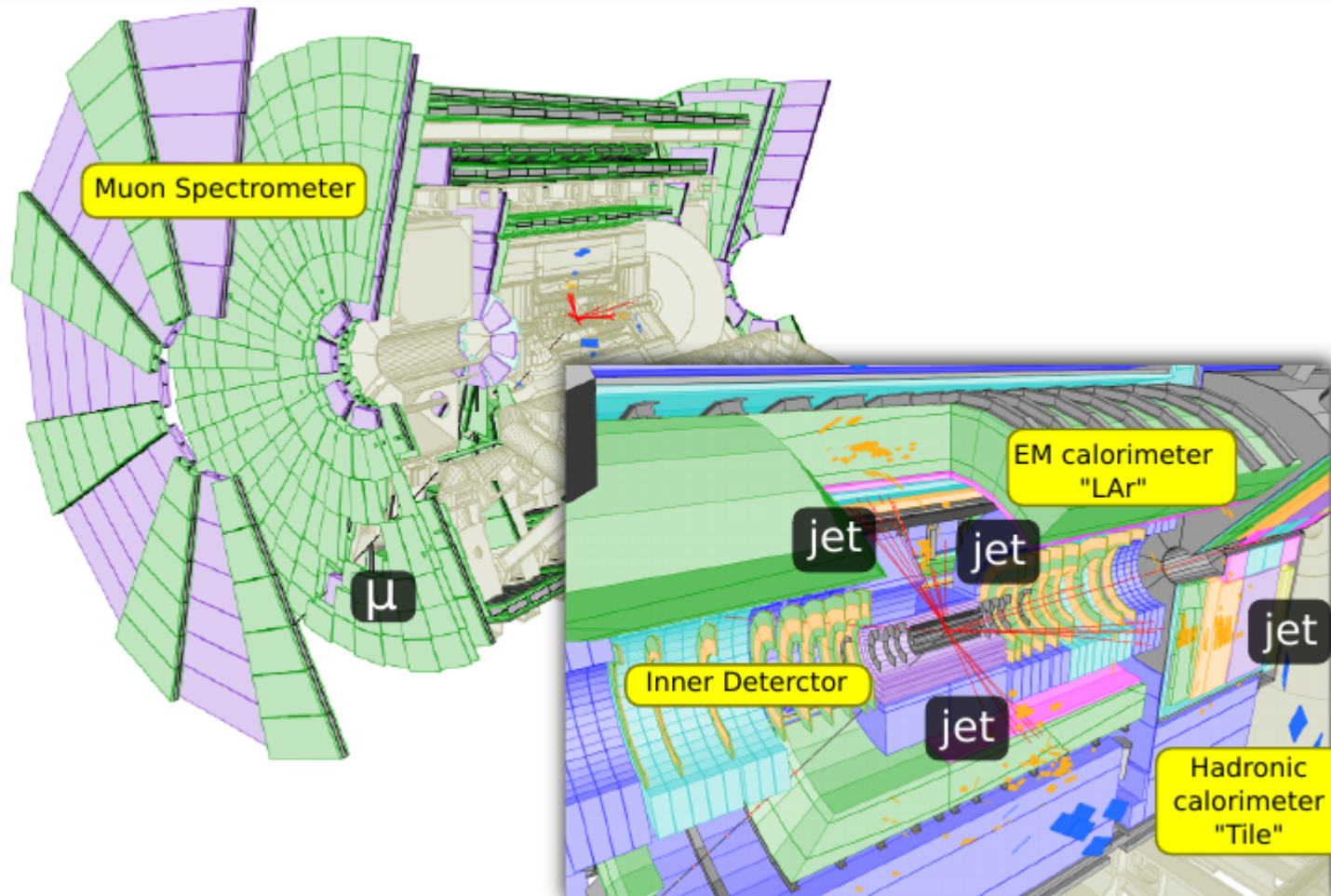


- huge irreducible background:  $tt+bb$  from QCD radiation
- b-tagging never perfect: lower efficiency, more background entering selection
- combinatorial background
- Use semi-leptonic or dileptonic  $t\bar{t}$  decays to trigger events:
  - lepton + 6 jets
  - or opposite-sign dilepton + 4 jets



# ttH(bb) analysis in ATLAS

## ATLAS in a nut shell



- **Run 1** collected  $5 + 20 \text{ fb}^{-1}$  of pp data at 7-8 TeV in 2010-2012
- **Run 2** collected so far  $\sim 36 \text{ fb}^{-1}$  at **13 TeV** in 2015-2016
  - expected to re-start to take data next ~May
- Results shown here based on  $\leq 13.2 \text{ fb}^{-1}$  at 13 TeV

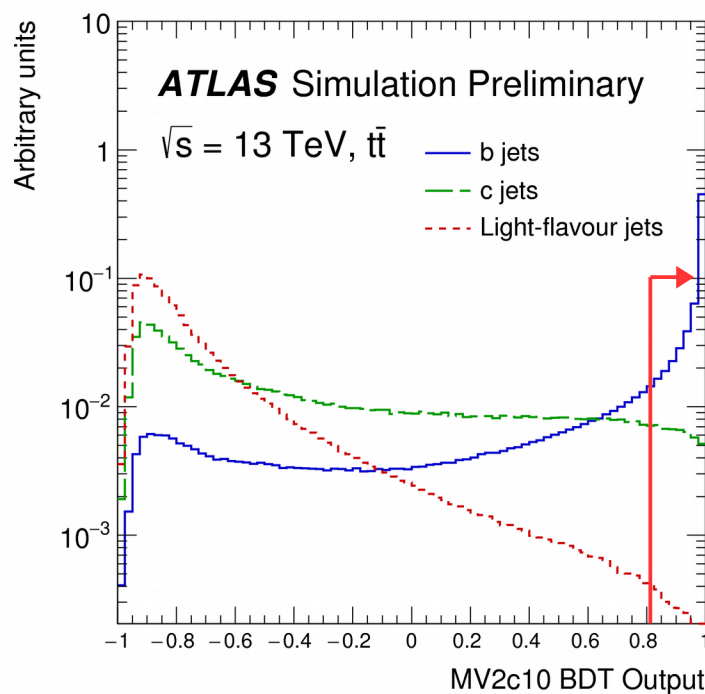
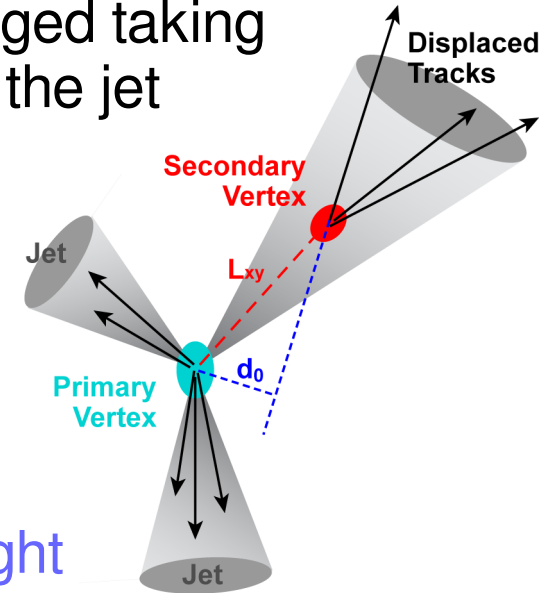


# ttH(bb) analysis in ATLAS

## b-tagging



- Jets originated from  $b$ -quark fragmentation can be tagged taking advantage of presence of a **secondary vertex** within the jet
- ATLAS uses advanced **multi-variate techniques** to combine several observables for each jet to distinguish  $b$ -jets from non- $b$ -jets ( $c$  or light)
- ▶ **mv2c10** algorithm ▶ ATL-PHYS-PUB-2016-012
- ▶ different working points, with different efficiencies and rejections vs.  $c$  and light



| BDT Cut Value | $b$ -jet Efficiency [%] | $c$ -jet Rejection | Light-jet Rejection | $\tau$ Rejection |
|---------------|-------------------------|--------------------|---------------------|------------------|
| 0.9349        | 60                      | 34                 | 1538                | 184              |
| 0.8244        | 70                      | 12                 | 381                 | 55               |
| 0.6459        | 77                      | 6                  | 134                 | 22               |
| 0.1758        | 85                      | 3.1                | 33                  | 8.2              |

- input variables not expected to be perfectly modeled by MC simulation
- ▶  **$b$ -tagging calibrations** needed, to correct MC according to  $b$ -tagging efficiencies measured in data, separately for  $b$ -,  $c$ - and light jets

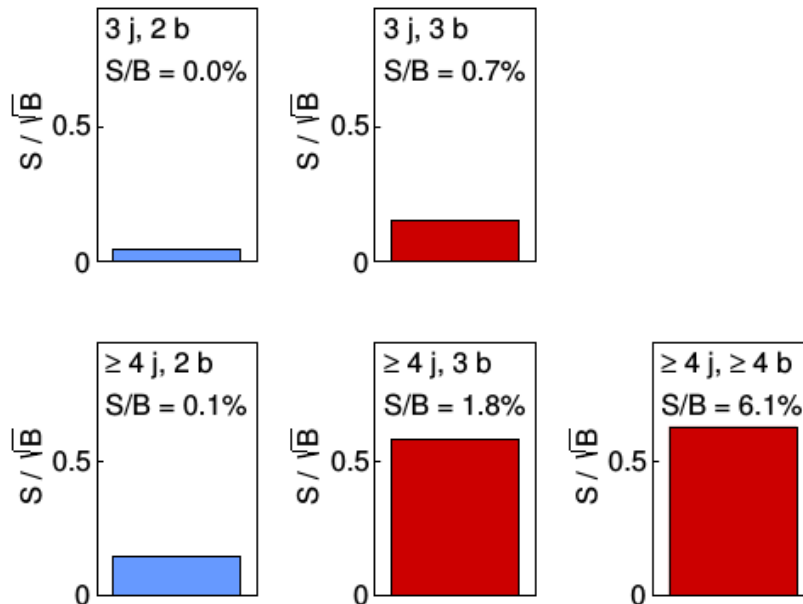
# ttH(bb) analysis in ATLAS

## Analysis Strategy

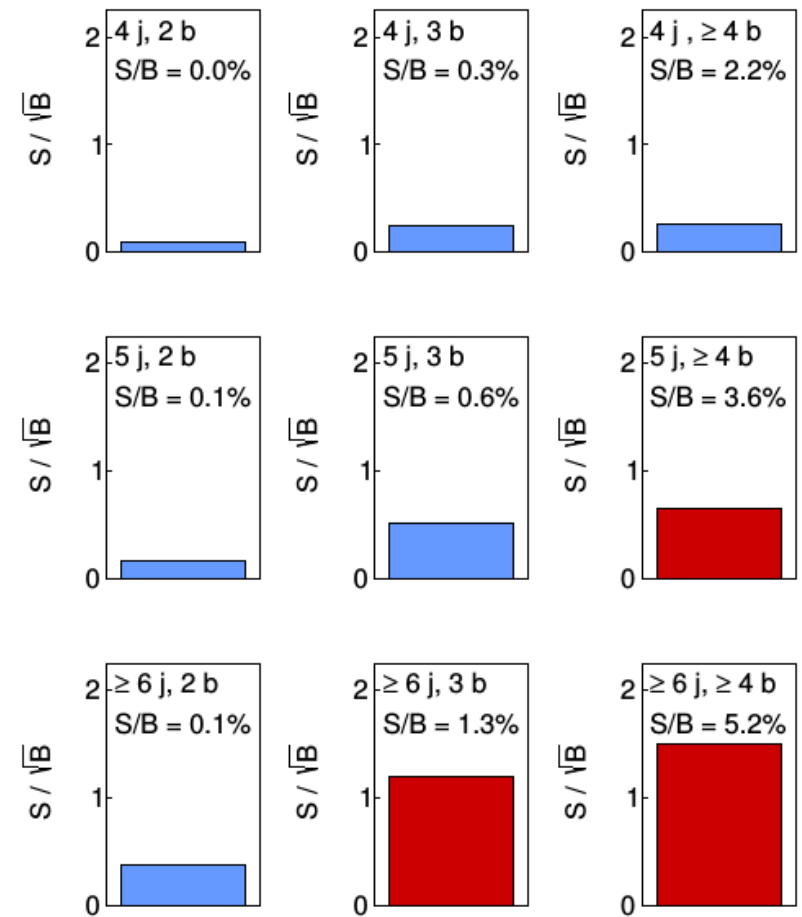


- *Divide et impera*:
  - events passing pre-selection categorised according to **jet and *b*-tagged jet multiplicity**
  - these different regions have different:
    - **signal content**

**ATLAS** Simulation Preliminary  
 $\sqrt{s} = 13 \text{ TeV}, 13.2 \text{ fb}^{-1}$   
 Dilepton



**ATLAS** Simulation Preliminary  
 $\sqrt{s} = 13 \text{ TeV}, 13.2 \text{ fb}^{-1}$   
 Single Lepton



# ttH(bb) analysis in ATLAS

## Analysis Strategy - II



- *Divide et impera:*

- events passing pre-selection categorised according to **jet and *b*-tagged jet multiplicity**
- these different regions have different:
  - signal content
  - background composition

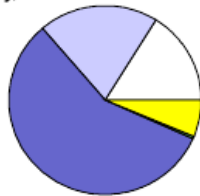
ATLAS Simulation Preliminary  
 $\sqrt{s} = 13$  TeV  
 Dilepton

$\square$   $t\bar{t} + \text{light}$   
  $\square$   $t\bar{t} + \geq 1c$   
  $\square$   $t\bar{t} + \geq 1b$   
 $\square$   $t\bar{t} + V$   
  $\square$  Non- $t\bar{t}$

3 j, 2 b



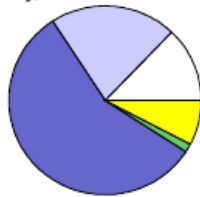
3 j, 3 b



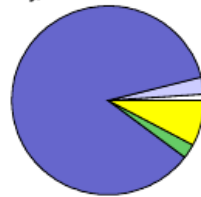
$\geq 4$  j, 2 b



$\geq 4$  j, 3 b



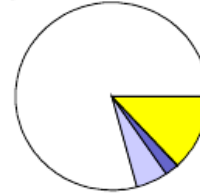
$\geq 4$  j,  $\geq 4$  b



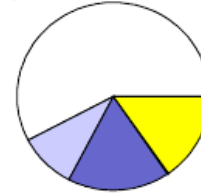
ATLAS Simulation Preliminary  
 $\sqrt{s} = 13$  TeV  
 Single Lepton

$\square$   $t\bar{t} + \text{light}$   
  $\square$   $t\bar{t} + \geq 1c$   
  $\square$   $t\bar{t} + \geq 1b$   
 $\square$   $t\bar{t} + V$   
  $\square$  Non- $t\bar{t}$

4 j, 2 b



4 j, 3 b



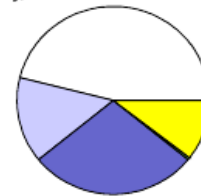
4 j,  $\geq 4$  b



5 j, 2 b



5 j, 3 b



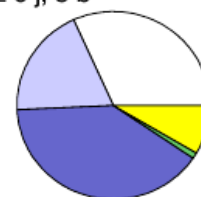
5 j,  $\geq 4$  b



$\geq 6$  j, 2 b



$\geq 6$  j, 3 b



$\geq 6$  j,  $\geq 4$  b



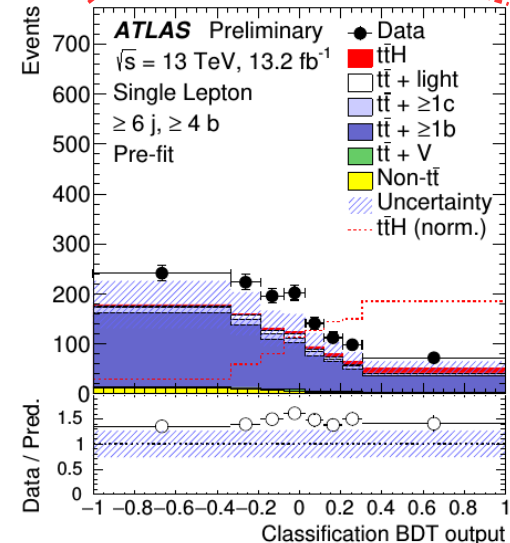
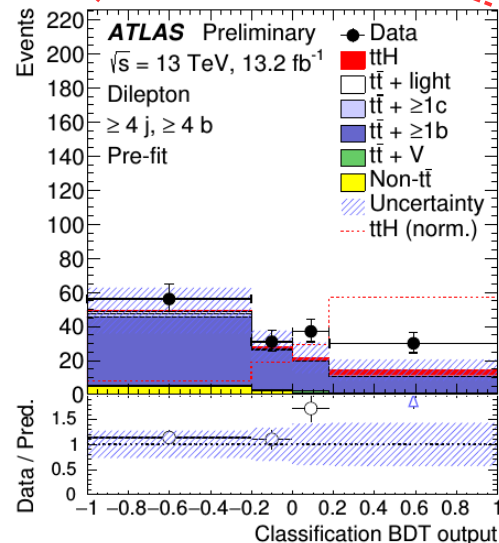
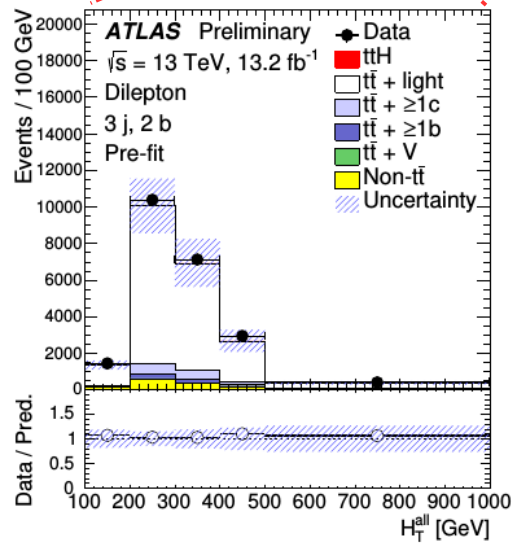
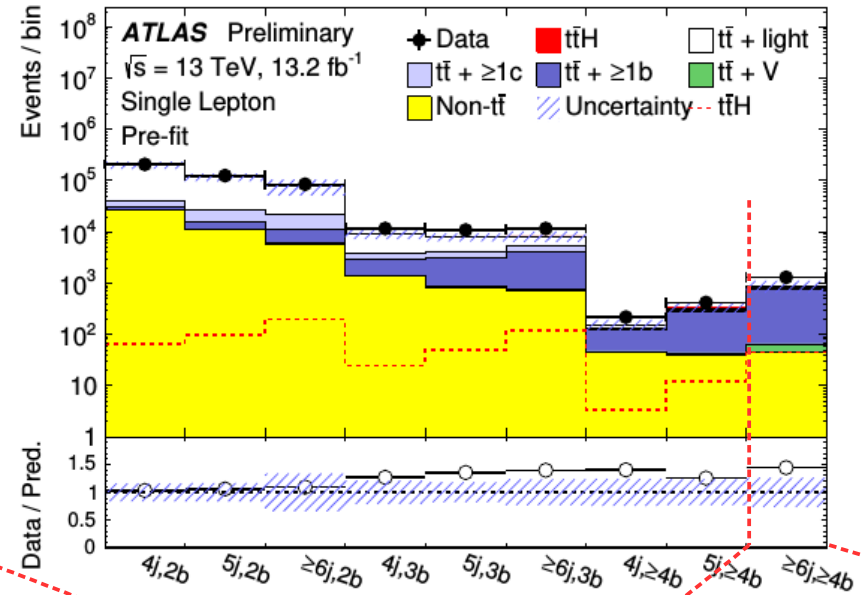
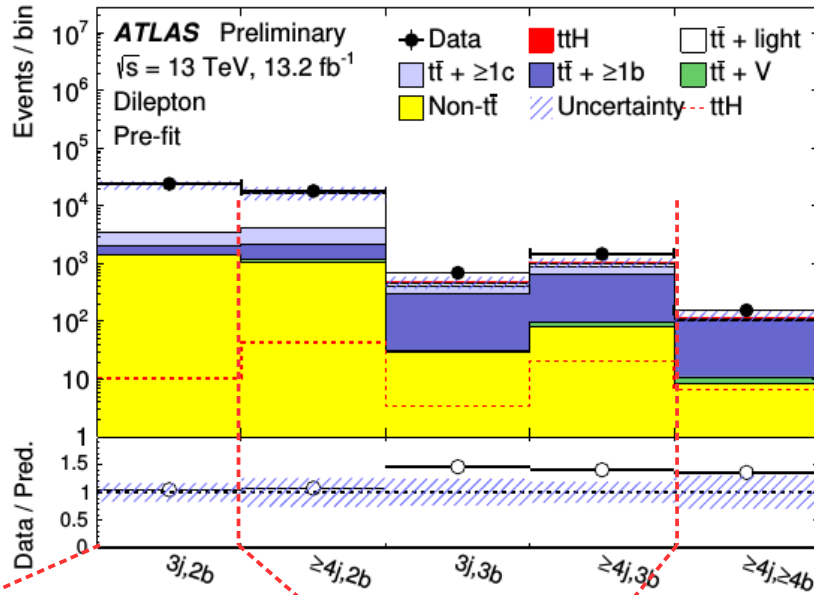


# ttH(bb) analysis in ATLAS

## Analysis Strategy - III



- In each region (control and signal) a kinematical distribution is built:
  - $H_T = \sum p_T^{\text{jet}} (+p_T^{\text{lep}} \text{ for dilep})$  or multi-variate discriminant

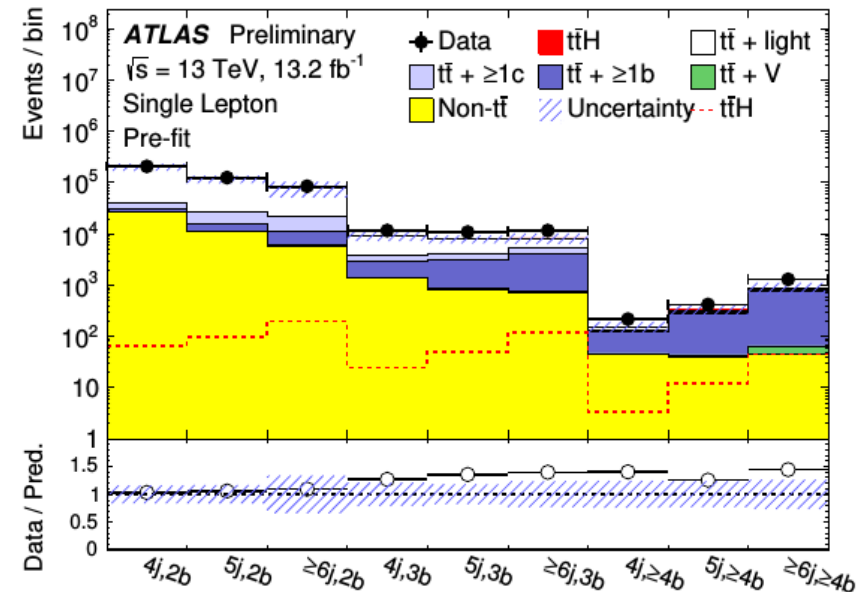
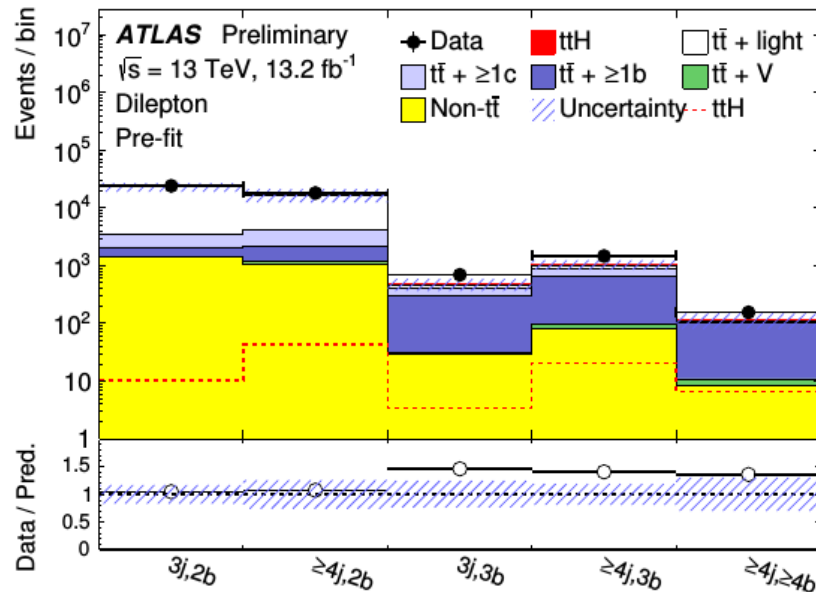


# ttH(bb) analysis in ATLAS

## Analysis Strategy - IV



- Considering **all regions and bins** in the analysis has several **advantages**:



- **recover signal** not entering the most sensitive SR
- give confidence in the background modeling in regions with no signal
- allow to **extract information** from the data on backgrounds and detector effects:
  - ▶ “*in situ* calibration” or “**systematic uncertainty constraint**”

# ttH(bb) analysis in ATLAS

## Profile Likelihood Fit



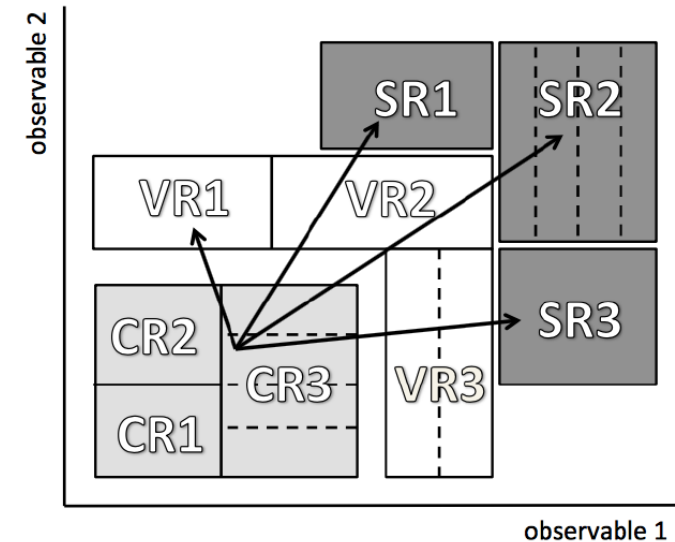
- The **profile likelihood** technique is used when fitting models with more than one unknown parameter:

- parameter(s) of interest (*POI* or  $\mu$ )

- nuisance parameter(s) ( $\theta$ )**

Model systematic uncertainties of a physics quantity

- Many analyses have this structure:
  - split into control, validation, signal regions, each with multiple bins and observables



- Build a global likelihood function for all the bins, including all the parameters:
  - written as product of Poisson measurements in CRs and SRs plus a probability density function for systematics

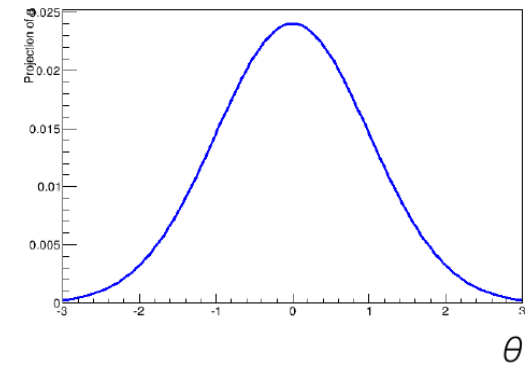
$$\begin{aligned}
 L(\mathbf{n}, \boldsymbol{\theta}^0 | \mu_{\text{sig}}, \mathbf{b}, \boldsymbol{\theta}) &= P_{\text{SR}} \times P_{\text{CR}} \times C_{\text{syst}} \\
 &= P(n_S | \lambda_S(\mu_{\text{sig}}, \mathbf{b}, \boldsymbol{\theta})) \times \prod_{i \in \text{CR}} P(n_i | \lambda_i(\mu_{\text{sig}}, \mathbf{b}, \boldsymbol{\theta})) \times C_{\text{syst}}(\boldsymbol{\theta}^0, \boldsymbol{\theta})
 \end{aligned}$$

# ttH(bb) analysis in ATLAS

## Profile Likelihood Fit - nuisances

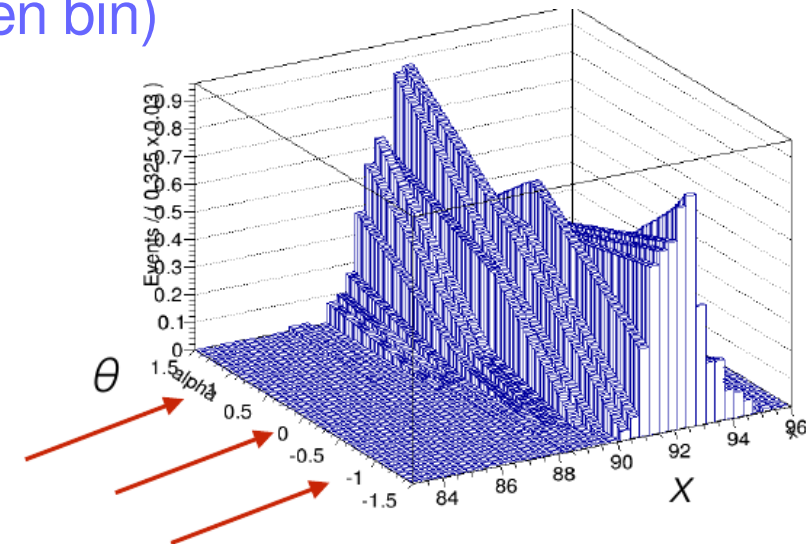


- Inclusion of systematic uncertainties implies:
  - “prior” or “penalty term” (usually Gaussian) in  $C_{syst}$ , reflecting *a priori* knowledge of certain parameter
    - from previous data, calibration, theory prediction



$$L(\mu, \theta) = L_{Pois}(\mu, \theta) \cdot \prod_p \frac{1}{\sqrt{2\pi}} \exp\left(-\frac{\theta_p^2}{2}\right)$$

- dependence of predicted **s** and **b** on the parameters  $\theta$ 
  - begin with templates of  $x$  (**s** or **b** in a given bin) at given values of  $\theta = [-1, 0, 1]$
  - then continuous interpolation between variations and nominal templates





- **Example of nuisance parameters:**

- **JES** (jet energy scale):

- jet energy calibration gives correction of MC for jet  $p_T$  spectrum, with uncertainties  $(+1\sigma, -1\sigma)$
- MC prediction for **s** and **b** corrected by this calibration is taken as nominal
- MC prediction for **s** and **b** corrected by this calibration  $+1\sigma$  is taken as  $\mathbf{s}(\theta_{\text{JES}}=1)$ ,  $\mathbf{b}(\theta_{\text{JES}}=1)$
- MC prediction for **s** and **b** corrected by this calibration  $-1\sigma$  is taken as  $\mathbf{s}(\theta_{\text{JES}}=-1)$ ,  $\mathbf{b}(\theta_{\text{JES}}=-1)$

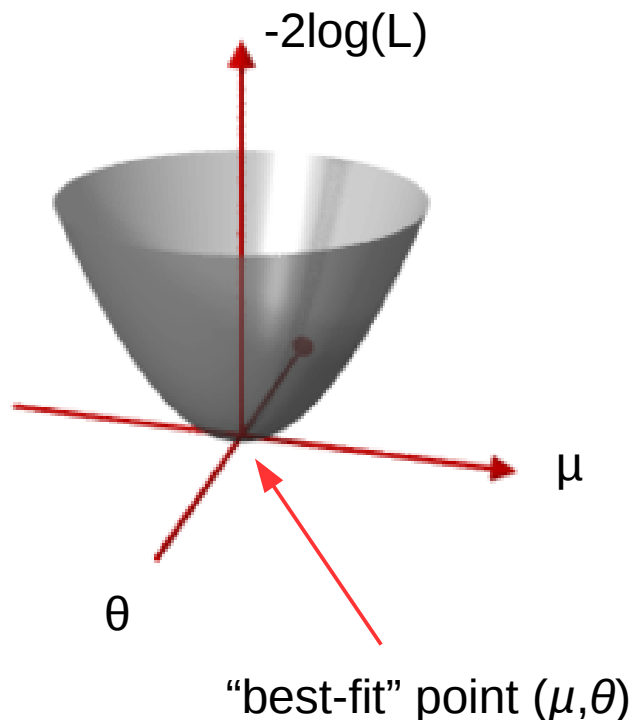
- **Parton Shower and Hadronisation** for  $t\bar{t}$ :

- nominal  $t\bar{t}$  background prediction taken from MC generated with Powheg+Pythia
- $\mathbf{b}^{t\bar{t}}(\theta_{\text{PS}}=1)$  taken from MC generated with Powheg+Herwig
- $\mathbf{b}^{t\bar{t}}(\theta_{\text{PS}}=-1)$  built symmetrising:  $\mathbf{b}^{t\bar{t}}(\theta_{\text{PS}}=0) - (\mathbf{b}^{t\bar{t}}(\theta_{\text{PS}}=1) + \mathbf{b}^{t\bar{t}}(\theta_{\text{PS}}=0))$

## Profile Likelihood Fit - minimisation

- With such a likelihood defined  
**measurement** of the parameter of interest ( $POI$ , or  $\mu$ )  
becomes a **N-dimensional** likelihood maximisation  
(or log-likelihood minimisation) problem

$$N = N_{POI} + N_{NP}$$



- The result of the fit is:
  - a value for the  $POI$ , with its uncertainty
  - and a set of values for the  $NPs$ , with their uncertainties
    - post-fit uncertainty on a  $NP$  smaller than the prior  
→ improved knowledge on that  $NP$
    - uncertainty on  $POI$  affected by the presence of  $NPs$ , by their priors and post-fit uncertainty, and correlations between  $NPs$  and  $POI$
    - fitted value of  $POI$  depends on the  $NPs$  as well (!)

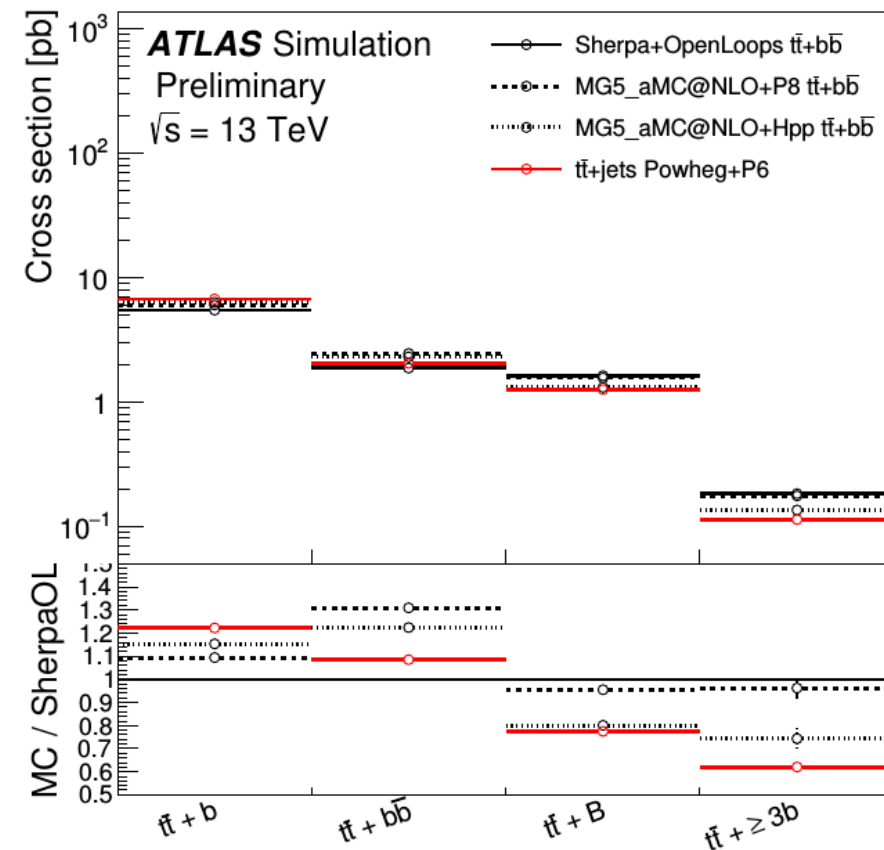


# ttH(bb) analysis in ATLAS

## tt background modeling



- $t\bar{t}$ +jets dominant background:
  - while  $t\bar{t}$  predictions available with high precision (NNLO, differential), QCD emission of extra jets (light and heavy flavour (HF)) suffer from larger uncertainties in perturbative predictions and from parton shower
- In ATLAS  $t\bar{t}H(b\bar{b})$  analysis:
  - NLO+PartonShower  $t\bar{t}$  events (5FS) generated with Powheg+Pythia6
  - split into  $t\bar{t}$ +light,  $t\bar{t}$ + $\geq 1c$ ,  $t\bar{t}$ + $\geq 1b$ 
    - categorisation made considering flavour of hadrons inside particle jets not matched to partons from  $t$  decay
  - $t\bar{t}$ +light and  $+ \geq 1c$  corrected to NNLO for  $p_T^t$  and  $p_T^{\bar{t}}$
  - $t\bar{t}$ + $\geq 1b$  corrected to dedicated  $t\bar{t}+b\bar{b}$  NLO+PartonShower prediction from SherpaOpenLoops (sub-categories and kinematics)



- Sophisticated set of **systematic uncertainties** related to tt modelling:
  - 3 alternative MC predictions compared to nominal for 5FS:
    - parton shower and hadronisation variation from Powheg+Herwig++
    - NLO matrix element generator variation from aMC@NLO
    - “radiation” variations (up/down) obtained by varying different parameters in Powheg+Pythia6 controlling amount of ISR/FSR
  - NNLO x-section uncertainty applied to  $t\bar{t}$ +light normalisation
  - $t\bar{t}+\geq 1c$ ,  $t\bar{t}+\geq 1b$  normalisations left **free-floating** in the fit
  - *for  $t\bar{t}+\geq 1b$ :*
    - full set of dedicated uncertainties on SherpaOpenLoops applied
    - residual uncertainties from the three sources above after correcting each of them to nominal SherpaOpenLoops kinematics
    - 2 **alternative 4FS  $t\bar{t}+b\bar{b}$**  predictions (aMC@NLO+Pythia8/+Herwig++) used to derive additional ME and PS uncertainties on reweighting
  - *for  $t\bar{t}+\geq 1c$ :*
    - correction to dedicated 4FS  $t\bar{t}+c\bar{c}$  predictions (aMC@NLO+Pythia8) used as additional systematic



| Systematic source  | How evaluated  | $t\bar{t}$ categories                             |
|--|--|---|
| $t\bar{t}$ cross-section                                   | $\pm 6\%$  | All, correlated                                   |
| NLO generator<br>( <i>residual</i> )                       | Powheg-Box + Herwig++ vs. MG5_aMC + Herwig++         | All, uncorrelated                                 |
| Radiation<br>( <i>residual</i> )                           | Variations of $\mu_R$ , $\mu_F$ , and $hdamp$        | All, uncorrelated                                 |
| PS & hadronisation<br>( <i>residual</i> )                  | Powheg-Box + Pythia 6 vs. Powheg-Box + Herwig++      | All, uncorrelated                                 |
| NNLO top & $t\bar{t}$ $p_T$                                | Maximum variation from any NLO prediction            | $t\bar{t} + \geq 1c$ , $t\bar{t}$ +light, uncorr. |
| $t\bar{t} + b\bar{b}$ NLO generator<br><i>reweighting</i>  | SherpaOL vs. MG5_aMC+ Pythia8                        | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ PS & hadronis.<br><i>reweighting</i> | MG5_aMC + Pythia8 vs. MG5_aMC + Herwig++             | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ renorm. scale<br><i>reweighting</i>  | Up or down a by factor of two                        | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ resumm. scale<br><i>reweighting</i>  | Vary $\mu_Q$ from $H_T/2$ to $\mu_{CMMPs}$           | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ global scales<br><i>reweighting</i>  | Set $\mu_Q$ , $\mu_R$ , and $\mu_F$ to $\mu_{CMMPs}$ | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ shower recoil<br><i>reweighting</i>  | Alternative model scheme                             | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ PDF<br><i>reweighting</i>            | CT10 vs. MSTW or NNPDF                               | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ MPI                                  | Up or down by 50%                                    | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + b\bar{b}$ FSR                                  | Radiation variation samples                          | $t\bar{t} + \geq 1b$                              |
| $t\bar{t} + c\bar{c}$ ME calculation                       | MG5_aMC + Herwig++ inclusive vs. ME prediction       | $t\bar{t} + \geq 1c$                              |

# ttH(bb) analysis in ATLAS

## tt background modeling - MC settings



|               |                      |                      |                      |
|---------------|----------------------|----------------------|----------------------|
| ME gen.       | MG5_aMC              | MG5_aMC              | SherpaOL             |
| PS/UE gen.    | Herwig++ 2.7.1       | Pythia 8.210         | Sherpa               |
| Renorm. scale | $\mu_{\text{CMMPS}}$ | $\mu_{\text{CMMPS}}$ | $\mu_{\text{CMMPS}}$ |
| Fact. scale   | $H_T/2$              | $H_T/2$              | $H_T/2$              |
| Resumm. scale | $f_Q \sqrt{\hat{s}}$ | $f_Q \sqrt{\hat{s}}$ | $H_T/2$              |
| ME PDF        | NNPDF3.0 4F          | NNPDF3.0 4F          | CT10 4F              |
| PS/UE PDF     | CTEQ6L1              | NNPDF2.3             |                      |
| Tune          | UE-EE-5              | A14                  | Author's tune        |

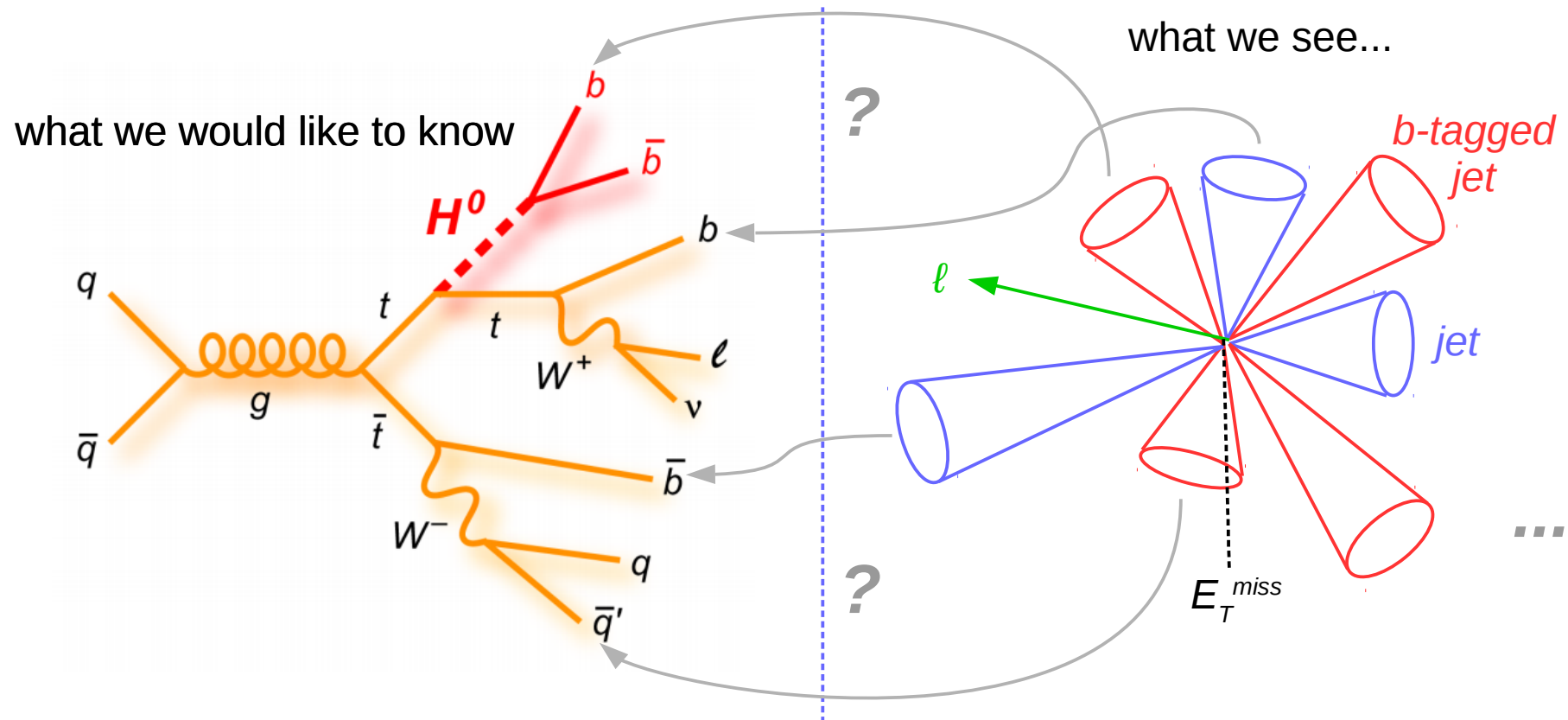
|              |                            |                            |   |  |                                    |
|--------------|----------------------------|----------------------------|---|--|------------------------------------|
| ME gen.      | Powheg-Box                 | Powheg-Box                 | MG5_aMC   | Powheg-Box                                   | Powheg-Box                         |
| PS/UE gen.   | Pythia 6.428               | Herwig++2.7.1              | Herwig++2.7.1   | Pythia 6.428                                 | Pythia 6.428                       |
| Ren. scale   | $\sqrt{m_t^2 + p_{T,t}^2}$ | $\sqrt{m_t^2 + p_{T,t}^2}$ | $\sqrt{m_t^2 + \frac{1}{2}(p_{T,t}^2 + p_{T,\bar{t}}^2)}$ | $\frac{1}{2} \cdot \sqrt{m_t^2 + p_{T,t}^2}$ | $2 \cdot \sqrt{m_t^2 + p_{T,t}^2}$ |
| Fact. scale  | $\sqrt{m_t^2 + p_{T,t}^2}$ | $\sqrt{m_t^2 + p_{T,t}^2}$ | $\sqrt{m_t^2 + \frac{1}{2}(p_{T,t}^2 + p_{T,\bar{t}}^2)}$ | $\frac{1}{2} \cdot \sqrt{m_t^2 + p_{T,t}^2}$ | $2 \cdot \sqrt{m_t^2 + p_{T,t}^2}$ |
| <i>hdamp</i> | $m_t$                      | $m_t$                      | –   | $2 \cdot m_t$                                | $m_t$                              |
| ME PDF       | CT10                       | CT10                       | CT10  | CT10   | CT10                               |
| PS/UE PDF    | CTEQ6L1                    | CTEQ6L1                    | CTEQ6L1   | CTEQ6L1                                      | CTEQ6L1                            |
| Tune         | P2012                      | UE-EE5                     | UE-EE5  | P2012 radHi                                  | P2012 radLo                        |

# ttH(bb) analysis in ATLAS

## Event reconstruction



- The event reconstruction issue:



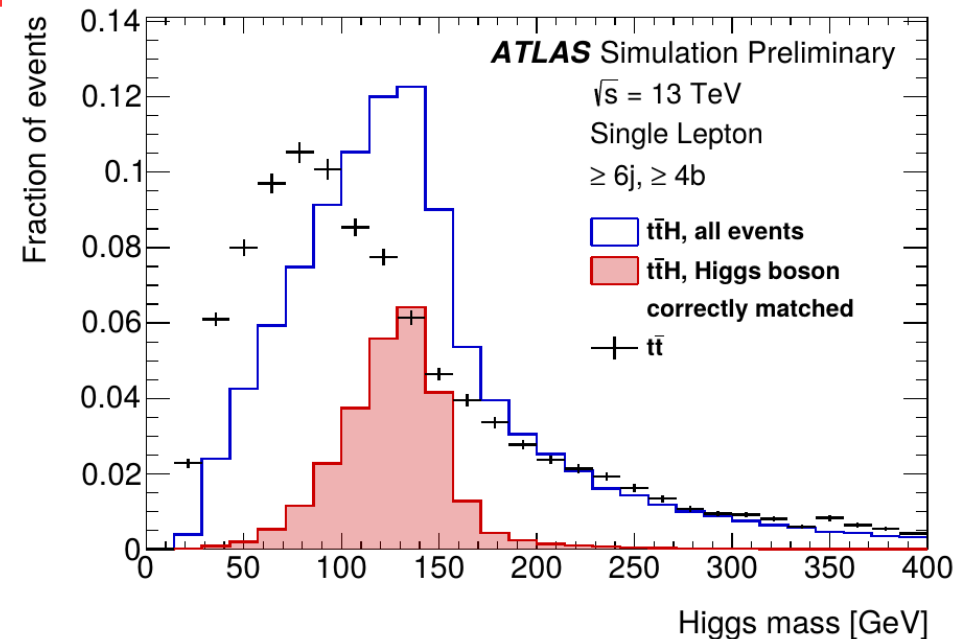
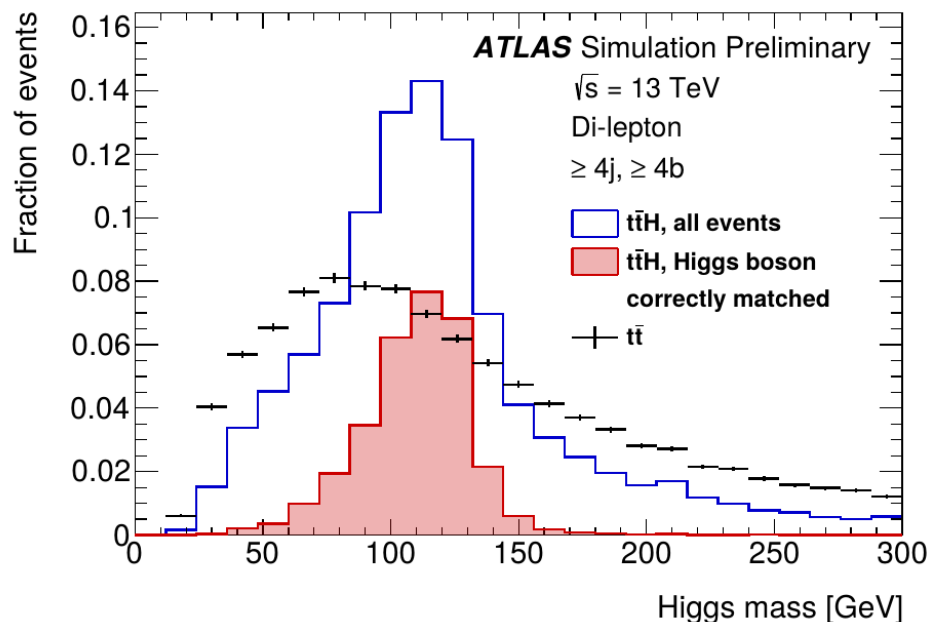
- pairing jets with partons from  $t^{\text{had}}$ ,  $t^{\text{lep}}$ ,  $H$  not an easy task
  - jet energy resolution, jets falling outside acceptance, mis- $b$ -tags, additional radiation, pile-up...
- can use a multi-variate technique to solve the problem in the best possible way → boosted-decision-tree (BDT) used by ATLAS

# ttH(bb) analysis in ATLAS

## Event reconstruction - II



- BDT-based  $t\bar{t}H$  system reconstruction, “**reconstruction BDT**”:
  - build a BDT to distinguish **correct combinations** vs. **incorrect** ones in simulated  $t\bar{t}H$  events:
    - treat each combination of jet-parton assignments as a different event
    - treat correct combinations as signal, incorrect ones as background
    - use many variables for each combination, like angle between jets in  $H$  candidate, mass of hadronic  $t$ , angle between  $t$  and  $H$ ...
  - take the **combination with highest BDT score** in data as most likely correct combination





# ttH(bb) analysis in ATLAS

## Multi-variate discriminant



- After system reconstruction, “**classification BDT**” to distinguish  $ttH$  from  $tt$ 
  - combine outputs of reconstruction BDT with other kinematic variables

| Variable  | Definition  | Region             |               |               |
|---|---|--------------------|---------------|---------------|
|   |   | $\geq 6j, \geq 4b$ | $\geq 6j, 3b$ | $5j, \geq 4b$ |
| General kinematic variables                       |   |                    |               |               |
| $\Delta R_{bb}^{\text{avg}}$                      | Average $\Delta R$ for all $b$ -tagged jet pairs  | ✓                  | ✓             | ✓             |
| $\Delta R_{bb}^{\text{max } p_T}$                 | $\Delta R$ between the two $b$ -tagged jets with the largest vector sum $p_T$                               | ✓                  | –             | –             |
| $\Delta \eta_{jj}^{\text{max}}$                   | Maximum $\Delta \eta$ between any two jets  | ✓                  | ✓             | ✓             |
| $m_{bb}^{\text{min } \Delta R}$                   | Mass of the combination of the two $b$ -tagged jets with the smallest $\Delta R$                            | ✓                  | ✓             | –             |
| $m_{jj}^{\text{min } \Delta R}$                   | Mass of the combination of any two jets with the smallest $\Delta R$  | –                  | –             | ✓             |
| $m_{bj}^{\text{max } p_T}$                        | Mass of the combination of a $b$ -tagged jet and any jet with the largest vector sum $p_T$                  | –                  | ✓             | –             |
| $p_T^{\text{jet5}}$                               | $p_T$ of the fifth leading jet  | ✓                  | ✓             | ✓             |
| $N_{bb}^{\text{Higgs } 30}$                       | Number of $b$ -jet pairs with invariant mass within 30 GeV of the Higgs boson mass                          | ✓                  | –             | ✓             |
| $N_{40}^{\text{jet}}$                             | Number of jets with $p_T \geq 40$ GeV   | –                  | ✓             | –             |
| $H_T^{\text{had}}$                                | Scalar sum of jet $p_T$   | –                  | ✓             | ✓             |
| $\Delta R_{\text{lep-bb}}^{\text{min } \Delta R}$ | $\Delta R$ between the lepton and the combination of the two $b$ -tagged jets with the smallest $\Delta R$  | –                  | –             | ✓             |
| Aplanarity  | $1.5\lambda_2$ , where $\lambda_2$ is the second eigenvalue of the momentum tensor [41] built with all jets | ✓                  | ✓             | ✓             |
| Centrality  | Scalar sum of the $p_T$ divided by sum of the $E$ for all jets and the lepton                               | ✓                  | ✓             | ✓             |
| $H1$  | Second Fox–Wolfram moment computed using all jets and the lepton  | ✓                  | ✓             | ✓             |
| Variables from reconstruction BDT output          |   |                    |               |               |
| BDT output  |   | ✓*                 | ✓*            | ✓*            |
| $m_H$   | Higgs boson mass  | ✓                  | ✓             | ✓             |
| $m_{H,b_{\text{lep top}}}$                        | Mass of Higgs boson and $b$ -jet from leptonic top  | ✓                  | –             | –             |
| $\Delta R_{\text{Higgs bb}}$                      | $\Delta R$ between $b$ -jets from the Higgs boson   | ✓                  | ✓             | ✓             |
| $\Delta R_{H,t\bar{t}}$                           | $\Delta R$ between Higgs boson and $t\bar{t}$ system  | ✓*                 | ✓*            | ✓*            |
| $\Delta R_{H,\text{lep top}}$                     | $\Delta R$ between Higgs boson and leptonic top   | ✓                  | –             | –             |
| $\Delta R_{H,b_{\text{had top}}}$                 | $\Delta R$ between Higgs boson and $b$ -jet from hadronic top   | –                  | ✓*            | ✓*            |

| Variable                                 | Definition  | Region             |               |          |
|--|---|--------------------|---------------|----------|
|  |   | $\geq 4j, \geq 4b$ | $\geq 4j, 3b$ | $3j, 3b$ |
| General kinematic variables              |   |                    |               |          |
| $\Delta\eta_{bb}^{\text{avg}}$           | Average $ \Delta\eta $ among pairs of $b$ -jets   | ✓                  | –             | –        |
| $\Delta\eta_{bb}^{\text{max}}$           | Maximum $\Delta\eta$ between any two $b$ -jets  | –                  | ✓             | ✓        |
| $\Delta\eta_{jj}^{\text{avg}}$           | Average $\Delta\eta$ among jet pairs  | –                  | ✓             | –        |
| $\Delta R_{bb}^{\text{max } p_T}$        | $\Delta R$ between the two $b$ -tagged jets with the largest vector sum $p_T$                               | ✓                  | ✓             | ✓        |
| $\Delta R_{bb}^{\text{Higgs}}$           | $\Delta R$ between the two $b$ -tagged jets with mass closest to the Higgs boson mass                       | ✓                  | –             | –        |
| $\Delta R_{bb}^{\text{max } m}$          | $\Delta R$ between the two $b$ -jets with the largest invariant mass  | ✓                  | ✓             | ✓        |
| $m_{bb}^{\text{max } p_T}$               | Mass of the two $b$ -tagged jets with the largest vector sum $p_T$  | –                  | –             | ✓        |
| $m_{bb}^{\text{Higgs}}$                  | Mass of the two $b$ -tagged jets closest to the Higgs boson mass  | ✓                  | ✓             | ✓        |
| $m_{bb}^{\text{min}}$                    | Minimum mass of two $b$ -tagged jets  | –                  | –             | ✓        |
| $m_{bb}^{\text{min } \Delta R}$          | Mass of the combination of the two $b$ -tagged jets with the smallest $\Delta R$                            | ✓                  | ✓             | ✓        |
| $p_{T,b}^{\text{min}}$                   | Minimum $b$ -tagged jet $p_T$   | –                  | –             | ✓        |
| $H_T^{\text{all}}$                       | Scalar $p_T$ sum of all leptons and jets  | –                  | ✓             | ✓        |
| $N_{bb}^{\text{Higgs } 30}$              | Number of $b$ -jet pairs with invariant mass within 30 GeV of the Higgs boson mass                          | ✓                  | –             | ✓        |
| $N_{jj}^{\text{Higgs } 30}$              | Number of jet pairs with invariant mass within 30 GeV of the Higgs boson mass                               | –                  | ✓             | –        |
| Aplanarity                               | $1.5\lambda_2$ , where $\lambda_2$ is the second eigenvalue of the momentum tensor [41] built with all jets | ✓                  | ✓             | ✓        |
| Centrality                               | Sum of the $p_T$ divided by sum of the $E$ for all jets and both leptons                                    | ✓                  | –             | ✓        |
| $H2_{\text{jets}}$                       | Third Fox–Wolfram moment computed using all jets  | –                  | ✓             | –        |
| $H4_{\text{all}}$                        | Fifth Fox–Wolfram moment computed using all jets and leptons  | –                  | –             | ✓        |
| Variables from reconstruction BDT output |   |                    |               |          |
| BDT output                               |   | ✓*                 | ✓*            | –        |
| $m_H$                                    | Higgs boson mass  | ✓(*)               | ✓(*)          | –        |
| $\Delta\eta_{H,l}^{\text{min}}$          | Minimum $\Delta\eta$ between the Higgs boson and a lepton   | ✓*                 | ✓             | –        |
| $\Delta\eta_{H,l}^{\text{max}}$          | Maximum $\Delta\eta$ between the Higgs boson and a lepton   | ✓*                 | ✓             | –        |
| $\Delta\eta_{H,b}^{\text{min}}$          | Minimum $\Delta\eta$ between the Higgs boson and a $b$ -jet   | ✓*                 | –             | –        |

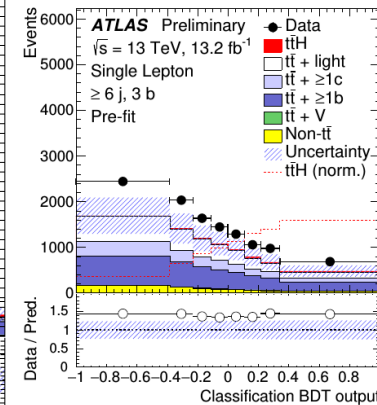
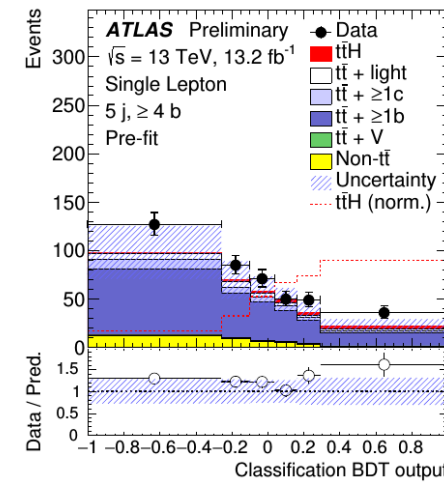
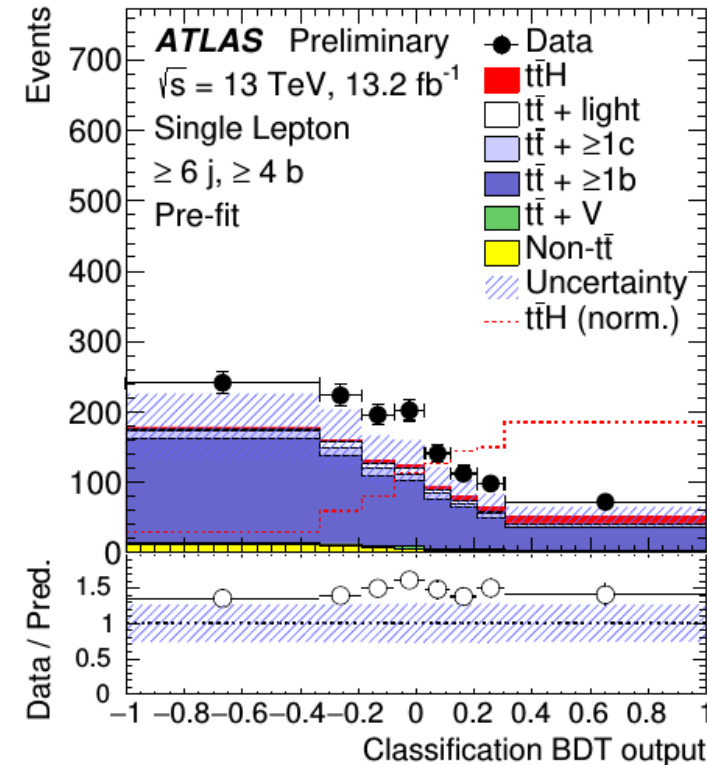
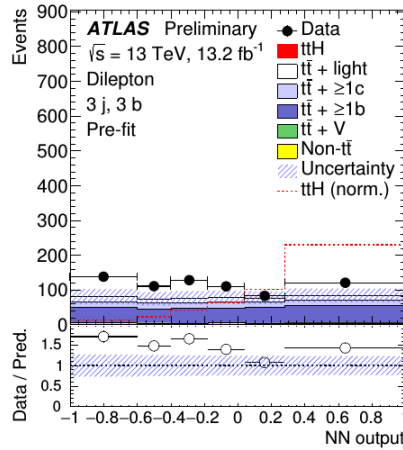
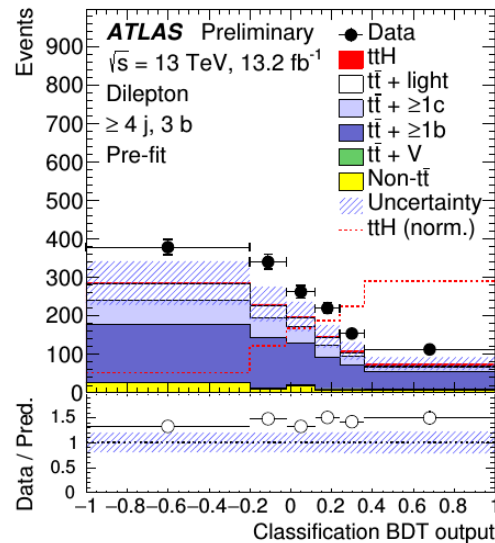
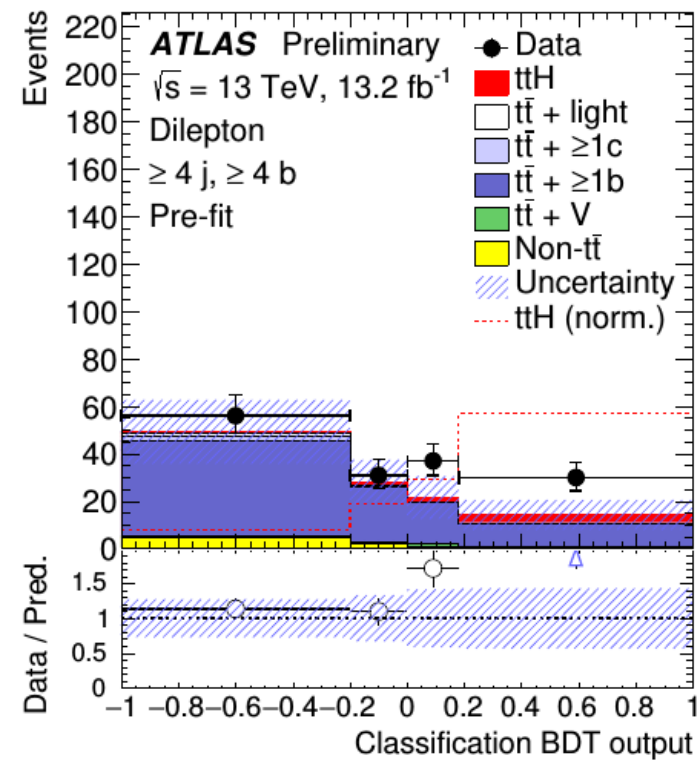
# ttH(bb) analysis in ATLAS

## Multi-variate discriminant - II

22

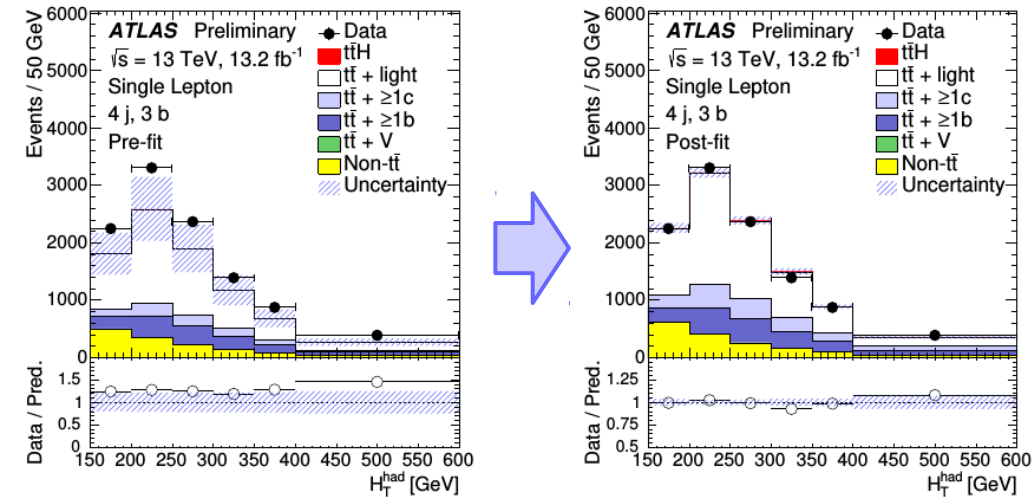


- After system reconstruction, “**classification BDT**” to distinguish  $ttH$  from  $tt$ 
  - combine outputs of reconstruction BDT with other kinematic variables
    - done separately for each of the SRs

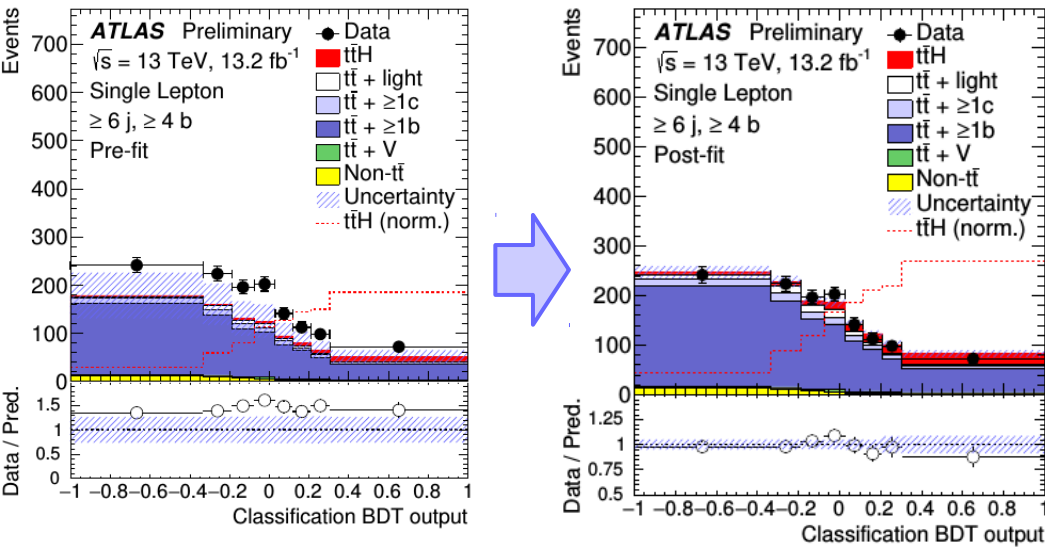


# ttH(bb) analysis in ATLAS

## Fit and results



...



- Simultaneous fit on all CRs and SRs
  - main output is value of  $\mu_{\bar{t}tH}$ , with its uncertainty
  - we also get interesting additional information, e.g.  $\bar{t}t$ +HF normalisation “pulled” to  $\sim 1.5 \times \text{SM}$  prediction...
- **Systematics ranked** according to contribution to total error

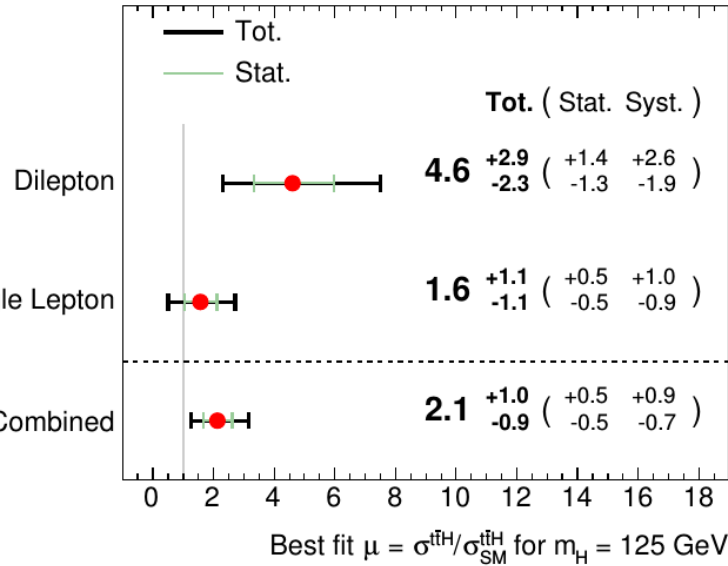
| Uncertainty source                               | $\Delta\mu$ |       |
|--|-------------|-------|
| $\bar{t}t + \geq 1b$ modelling                   | +0.53       | -0.53 |
| Jet flavour tagging                              | +0.26       | -0.26 |
| $\bar{t}tH$ modelling                            | +0.32       | -0.20 |
| Background model statistics                      | +0.25       | -0.25 |
| $\bar{t}t + \geq 1c$ modelling                   | +0.24       | -0.23 |
| Jet energy scale and resolution                  | +0.19       | -0.19 |
| $\bar{t}t$ +light modelling                      | +0.19       | -0.18 |
| Other background modelling                       | +0.18       | -0.18 |
| Jet-vertex association, pileup modelling         | +0.12       | -0.12 |
| Luminosity                                       | +0.12       | -0.12 |
| $\bar{t}tZ$ modelling                            | +0.06       | -0.06 |
| Light lepton ( $e, \mu$ ) ID, isolation, trigger | +0.05       | -0.05 |
| Total systematic uncertainty                     | +0.90       | -0.75 |
| $\bar{t}t + \geq 1b$ normalisation               | +0.34       | -0.34 |
| $\bar{t}t + \geq 1c$ normalisation               | +0.14       | -0.14 |
| Statistical uncertainty                          | +0.49       | -0.49 |
| Total uncertainty                                | +1.02       | -0.89 |

# ttH(bb) analysis in ATLAS

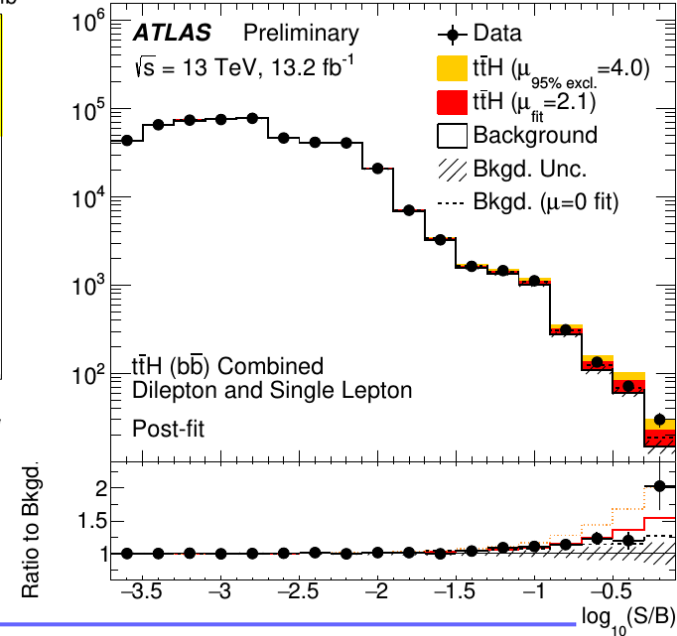
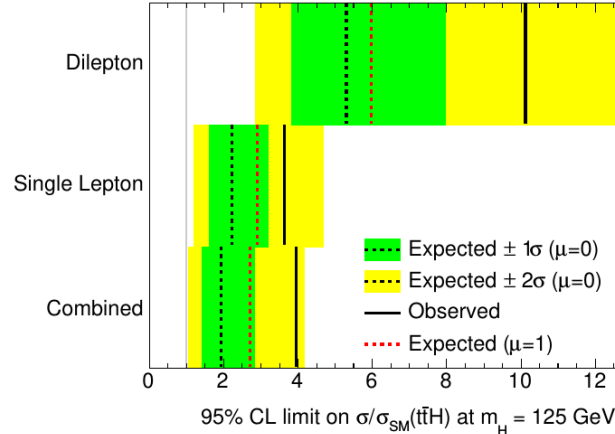
## Results and combination



ATLAS Preliminary ttH (bb),  $\sqrt{s} = 13$  TeV, 13.2 fb<sup>-1</sup>



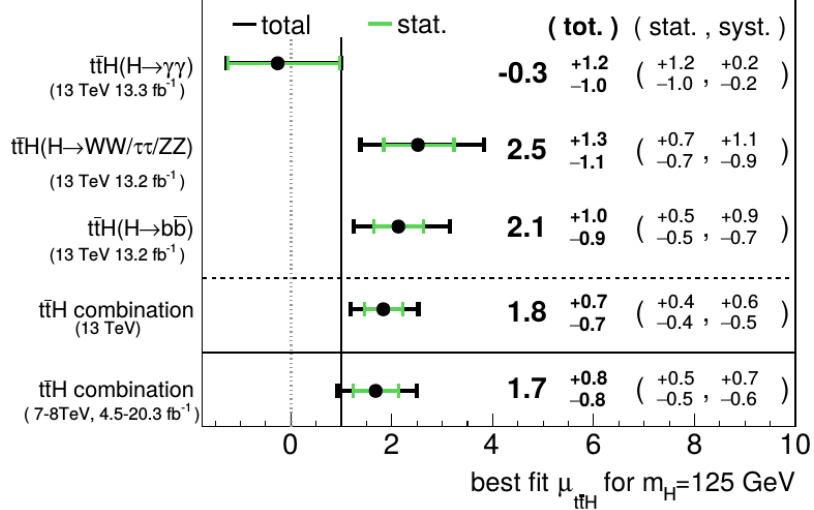
ATLAS Preliminary ttH (bb),  $\sqrt{s} = 13$  TeV, 13.2 fb<sup>-1</sup>



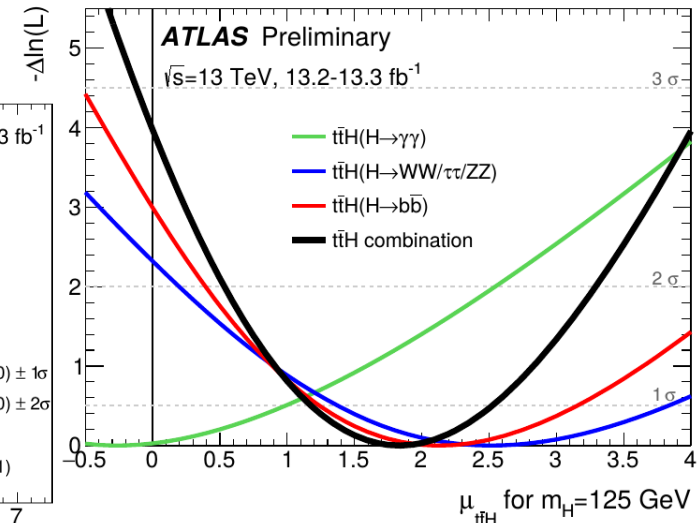
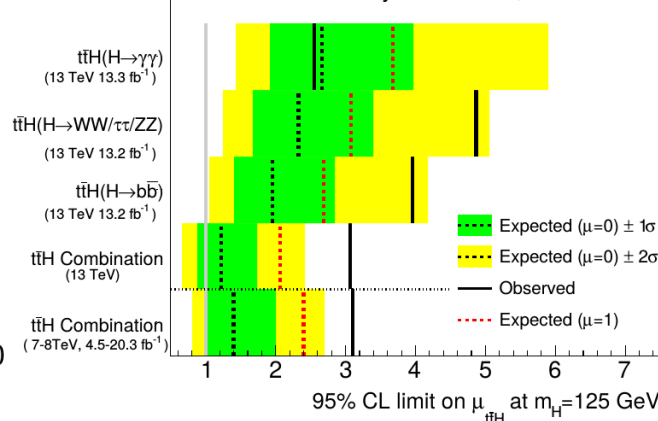
- This result is **combined** with other  $ttH$  channels:

ATLAS-CONF-2016-068

ATLAS Preliminary  $\sqrt{s}=13$  TeV, 13.2-13.3 fb<sup>-1</sup>



ATLAS Preliminary  $\sqrt{s}=13$  TeV, 13.2-13.3 fb<sup>-1</sup>

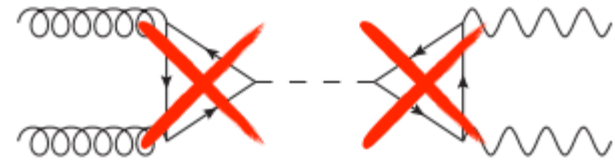




# ttH(bb)-like signals

## VLQ

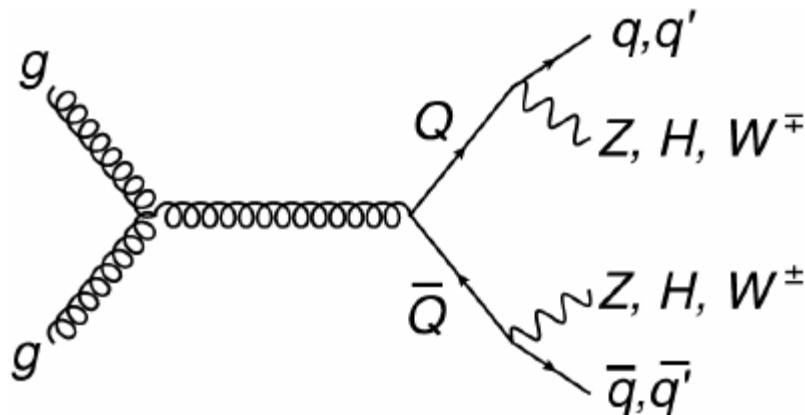
25



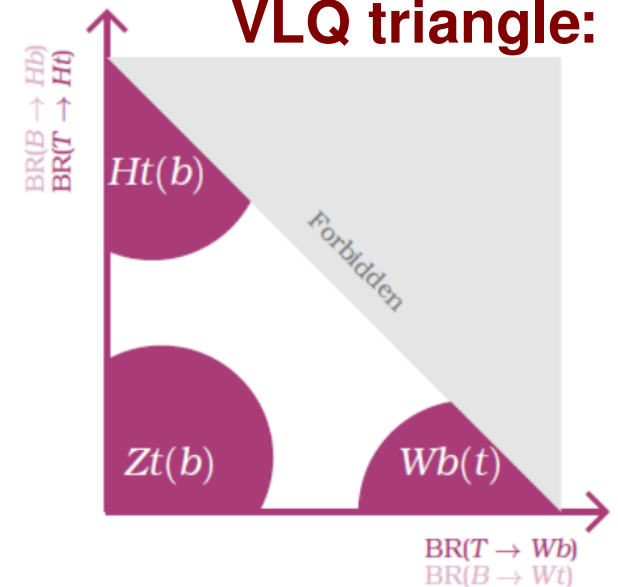
- 'Vector-like' quarks (VLQ)?
  - spin  $\frac{1}{2}$  but transform as triplets (V coupling instead of V-A)
  - simplest coloured fermions still allowed by experimental data (4<sup>th</sup> generation quarks excluded by Higgs data)
  - expected at **~TeV scale** (Naturalness, partial-compositeness...)
  - large  $y_t \Rightarrow$  sizable **mixing with 3<sup>rd</sup> generation** ('top partners')
    - **decay** to SM particles through mixing with 3<sup>rd</sup> generation
    - simple case (singlets):

$$T(+2/3) \leftrightarrow t \rightarrow Wb, Ht, Zt$$

$$B(-1/3) \leftrightarrow b \rightarrow Wt, Hb, Zb$$



**Limits often given in VLQ triangle:**



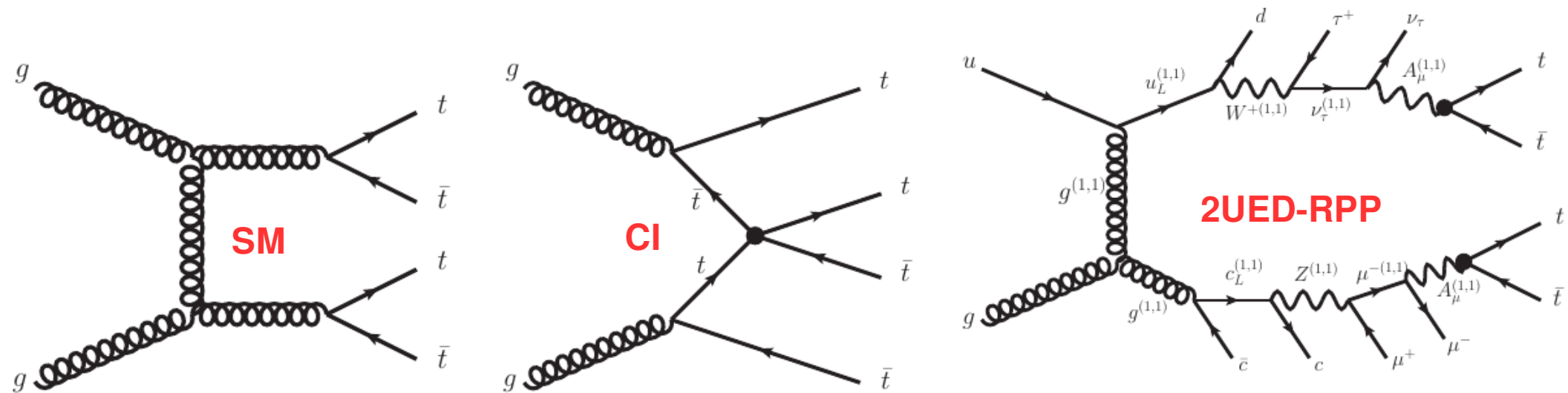
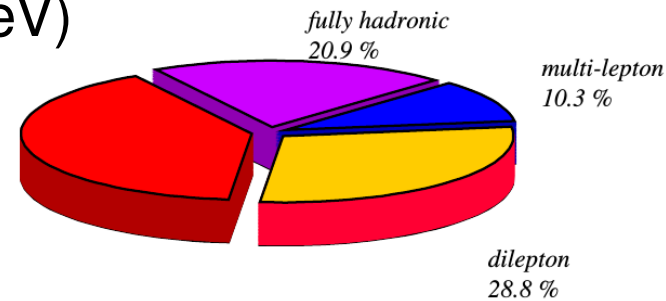
# ttH(bb)-like signals

## Four-top quark production

26



- $t\bar{t}t\bar{t}$  production in SM  $\rightarrow$  small x-sec ( $\sim 9$  fb at 13 TeV)
- production enhanced in BSM scenarios:
  - via effective contact interactions (CI)
  - pair production of resonances decaying to  $t\bar{t}$
  - **2HDM**:  $t\bar{t}H/A$ ,  $H/A \rightarrow t\bar{t}$  (see later)



- Final states with many jets and/or leptons, not necessarily very energetic (!)



## Heavy Higgs and tt resonances

- Apart from 'simple' case of  $Z'/g_{kk} \rightarrow t\bar{t}$
- Current experimental constraints in view of 2-Higgs Doublet Models favour heavy neutral Higgs  $\rightarrow t\bar{t}$ .

– 125 GeV Higgs couplings = SM

$\Rightarrow$  'alignment limit' ( $\sin(\beta-\alpha)=1$ )

$\Rightarrow$  H/A couplings with W, Z  $\rightarrow 0$

$\Rightarrow$  H/A couplings with fermions ( $Y^{H/A}$ ) depend only  $\tan\beta$ :

| (alignment limit)              | Type I        | Type II       |
|--------------------------------|---------------|---------------|
| $Y^{H/A}(u) [y_u]$             | $1/\tan\beta$ | $1/\tan\beta$ |
| $Y^{H/A}(d,\ell) [y_{d,\ell}]$ | $1/\tan\beta$ | $\tan\beta$   |

– High  $\tan\beta$  values excluded by  $H/A \rightarrow \tau\tau$  searches

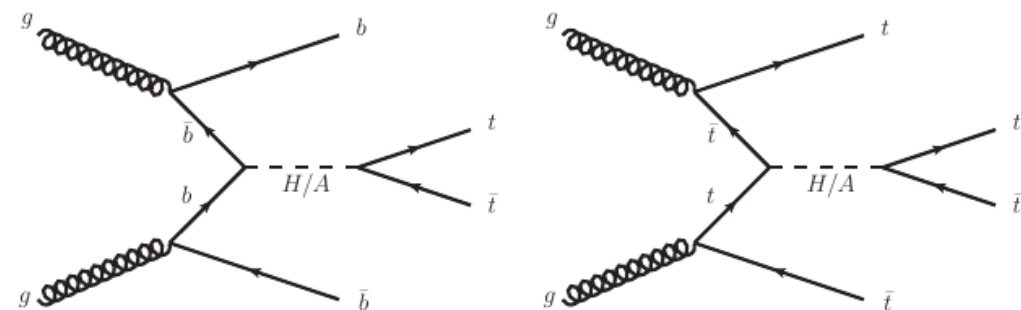
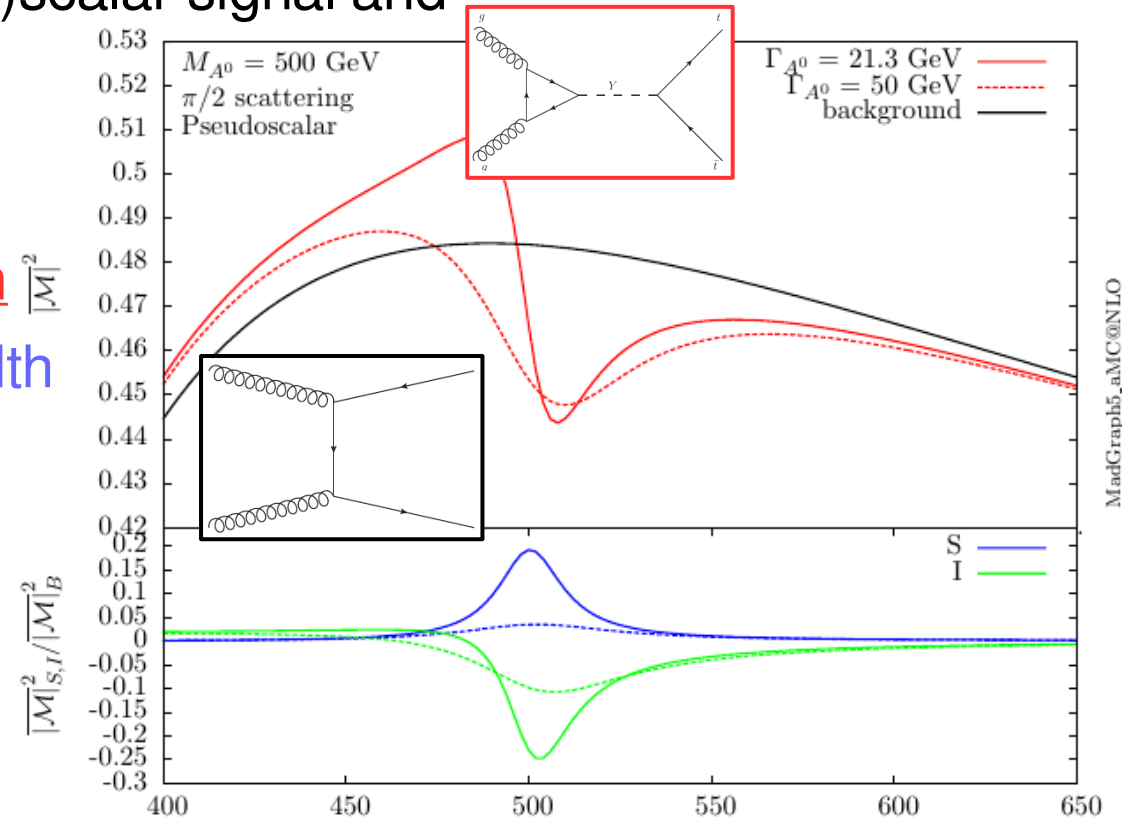
– Low and intermediate  $\tan\beta$  and  $m_{H/A} > 350$  GeV:

$\Rightarrow$   $H/A \rightarrow t\bar{t}$  dominant (!)

- **Interference** between (pseudo)scalar signal and SM non-resonant background recently studied:

► arXiv:1606.04149 [hep-ph]

- **peak reduction & distortion**
  - more important for larger width
- Analysis strategy for  $t\bar{t}$  resonance has to evolve:
  - inclusion of interference in simulation
  - usage of angular / spin-correlation aware variables in addition of the  $m_{t\bar{t}}$  scan
  - look at **associated production** (with  $t\bar{t}$  or  $b\bar{b}$ ):



# ttH(bb)-like analyses in ATLAS

## Four top search in $\ell$ +jets



► ALAS-CONF-2016-020 (3.2 fb<sup>-1</sup>)

ATLAS Simulation Preliminary  
 $\sqrt{s} = 13$  TeV, 3.2 fb<sup>-1</sup>

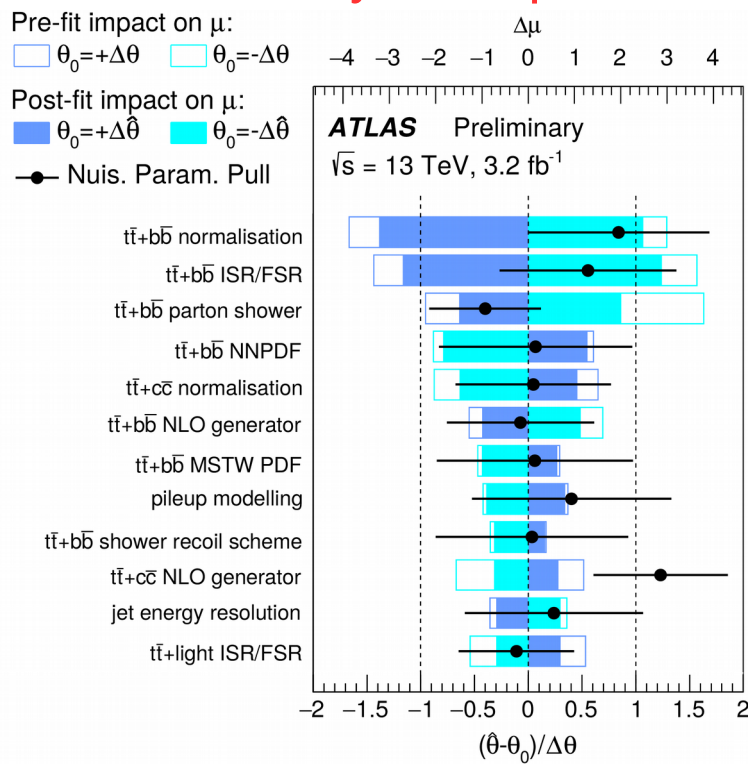
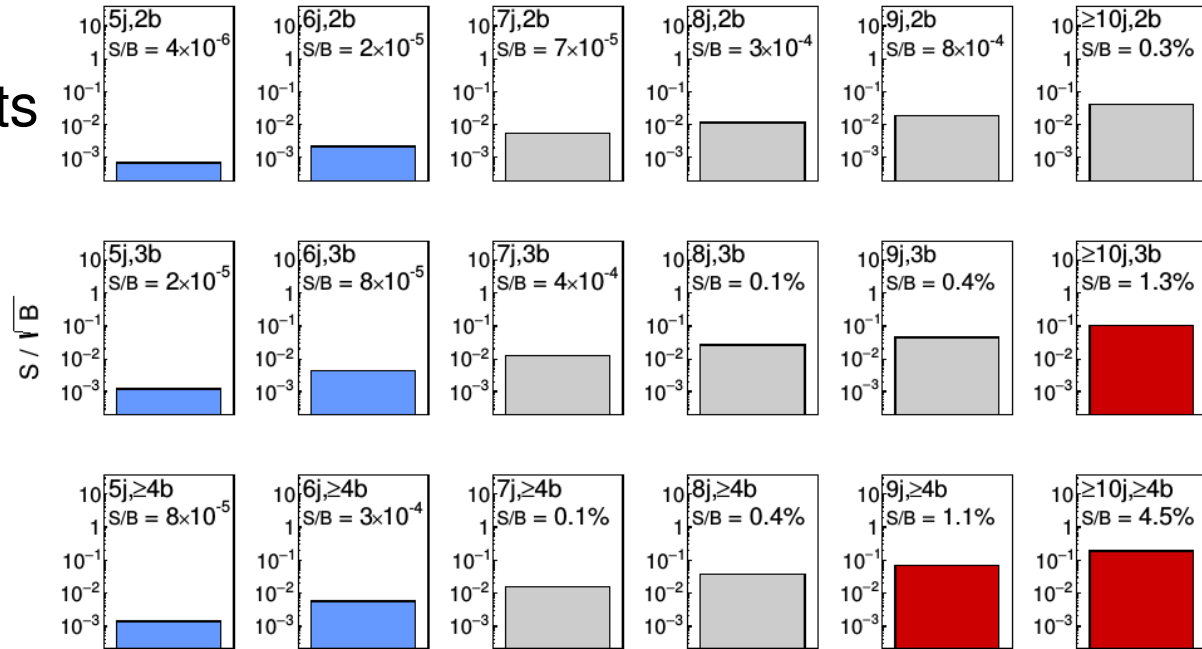
Control Regions Validation Regions Signal Regions

- Analysis targeting 4-top final states in **resolved**  $\ell$ +jets

►  $1e/\mu + \geq 10 j, \geq 4 b$

- Background  **$t\bar{t}+b\bar{b}$ +jets**:

– hard to model with current theory / MC predictions!



- Analysis strategy similar to ttH(bb):

– **split** in **N(jets)** and **N(b-tags)**

– simultaneous profile likelihood fit of  $H_T^{\text{had}}$  in all CRs and SRs

– **Validation Regions** not fitted:

► used to validate the CR → SR extrapolation

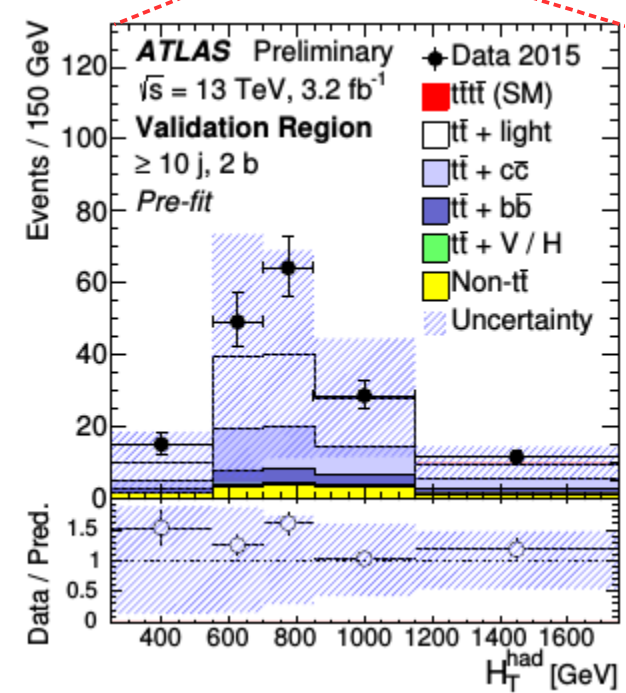
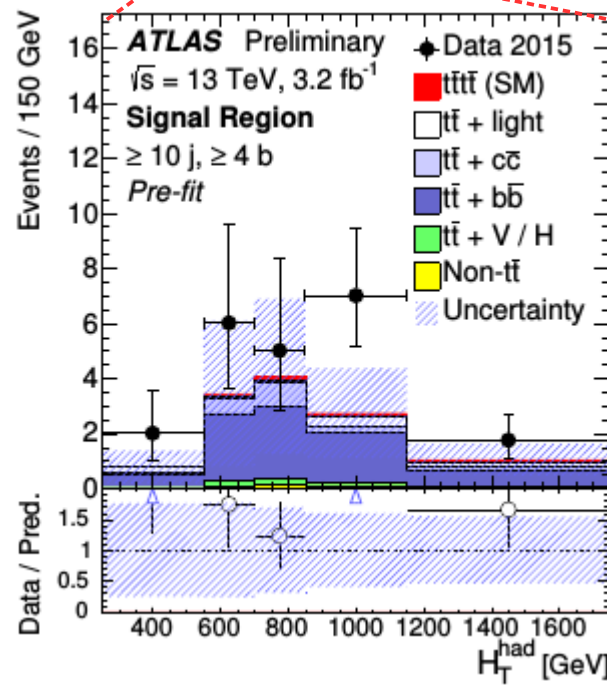
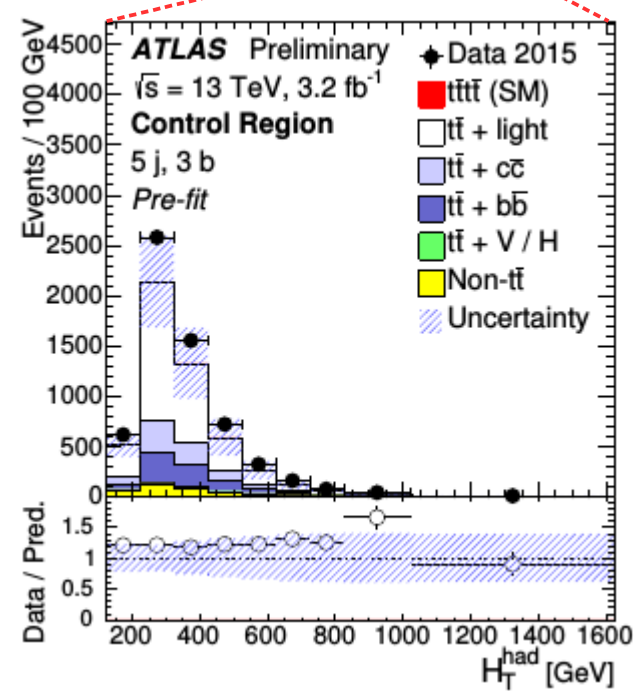
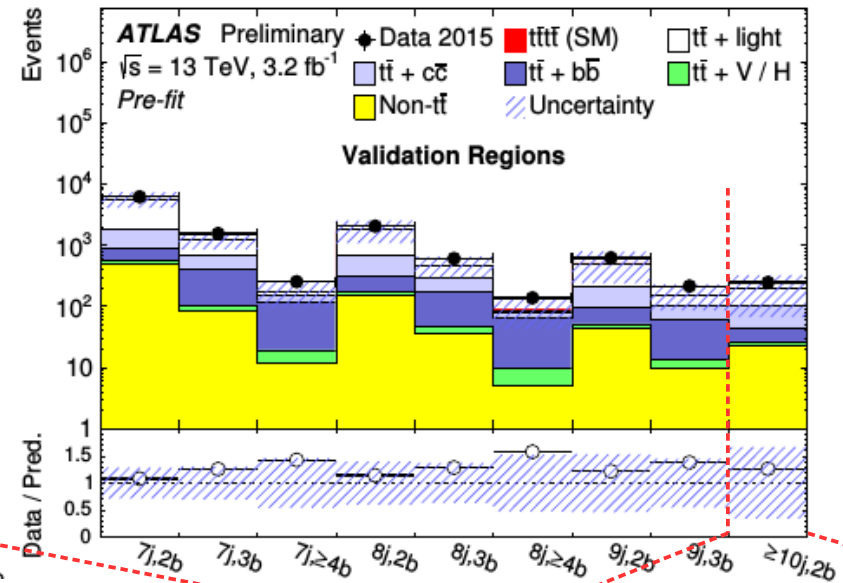
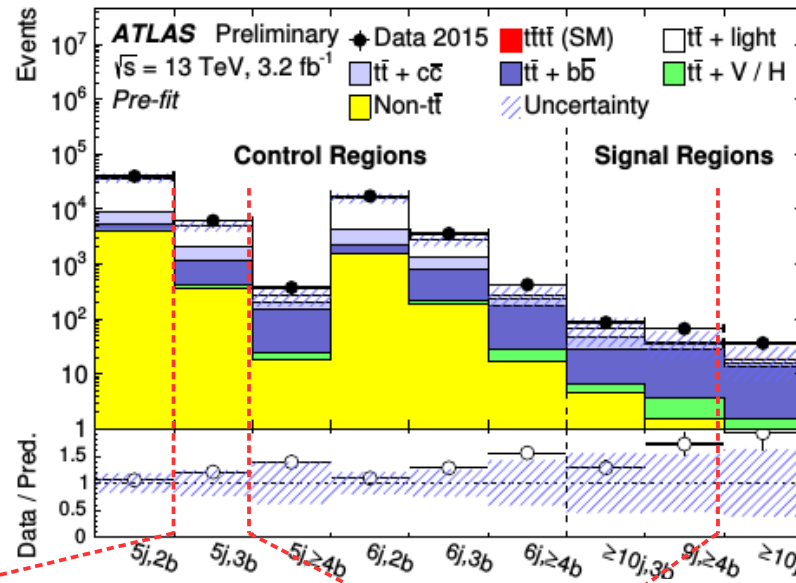
# ttH(bb)-like analyses in ATLAS

## Four top search in $\ell$ +jets - II



*Pre-Fit*

- Expected limit on 4 tops: **16 x SM**



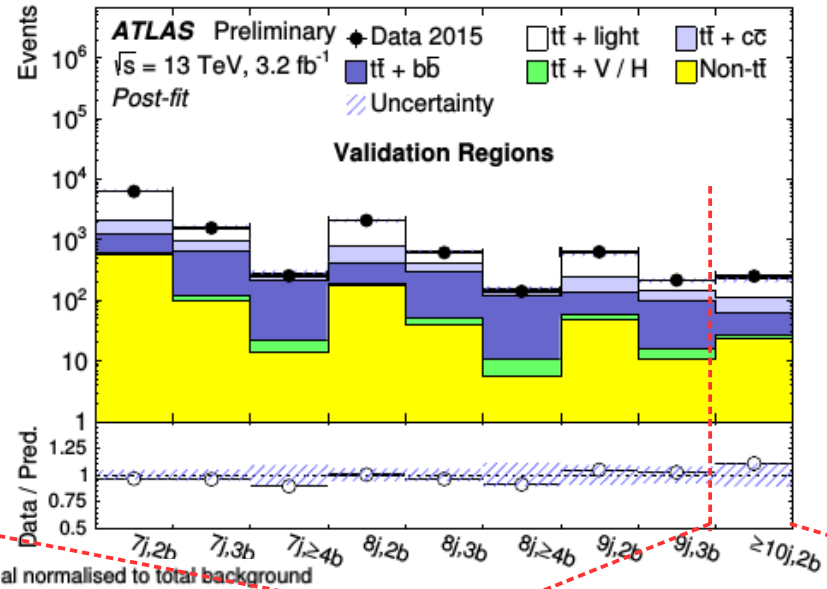
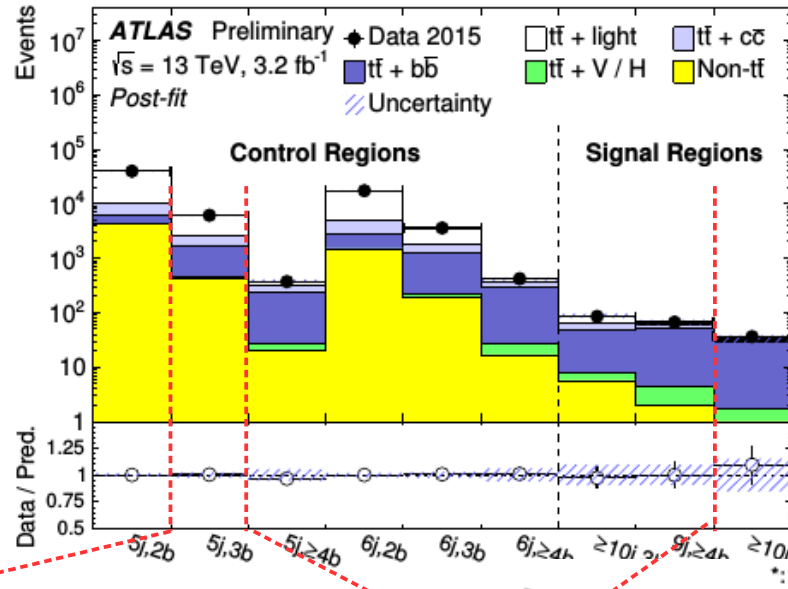
# ttH(bb)-like analyses in ATLAS

## Four top search in $\ell$ +jets - III

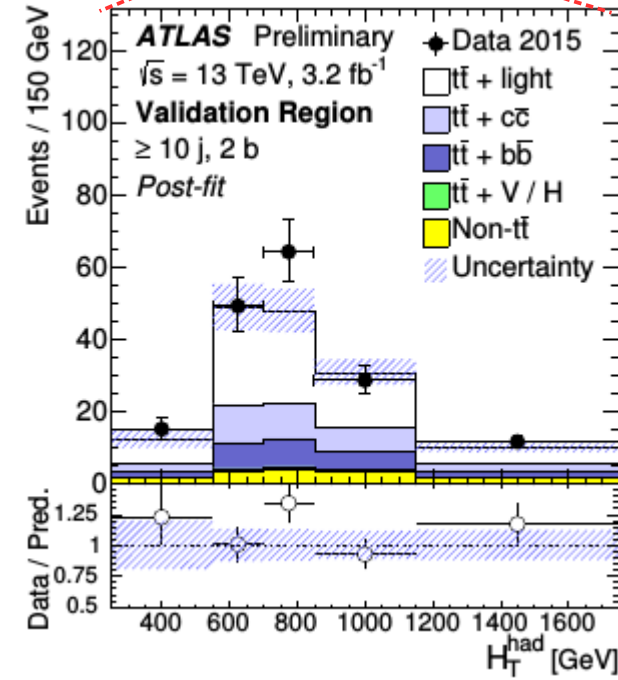
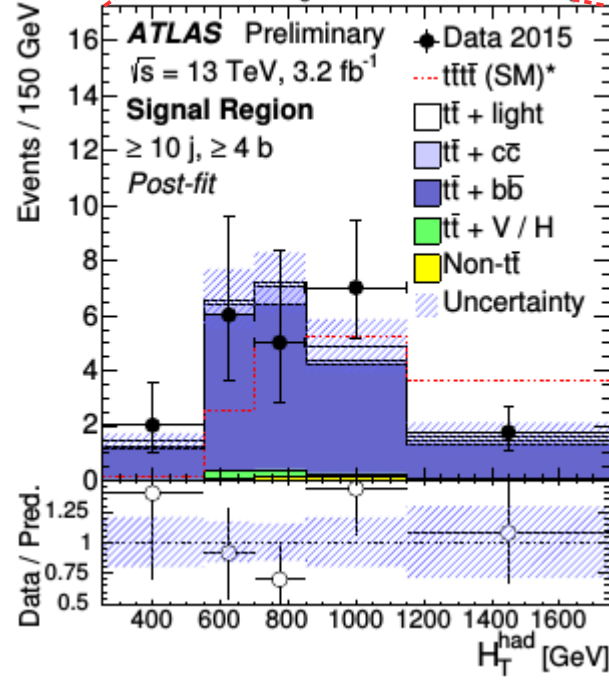
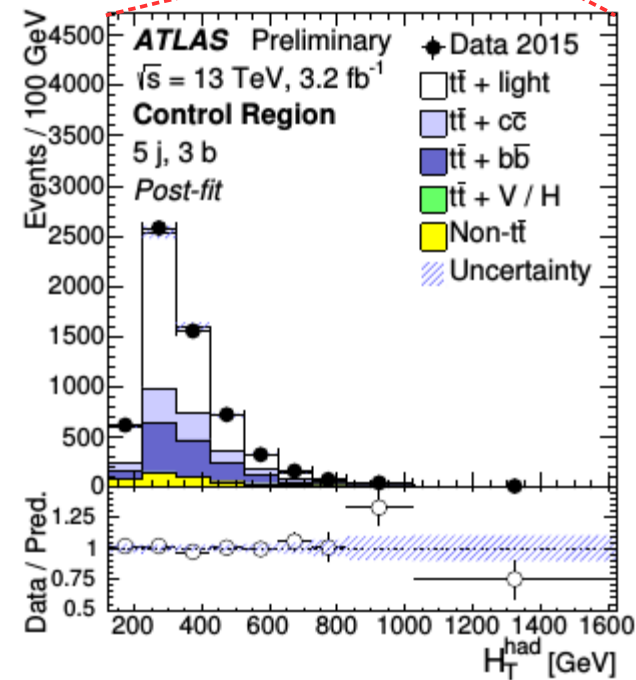


*Post B-only Fit*

- Observed limit on 4 tops: **21 x SM**



\*: signal normalised to total background



# ttH(bb)-like analyses in ATLAS

## Search for VLQ



▸ ALAS-CONF-2016-104 (13.2 fb<sup>-1</sup>)

- Search targeting different signals in 0-1 $\ell$  + (b)jets:

- **VLQ** focusing on  $TT \rightarrow H(b\bar{b})t+X$
- **new 0 $\ell$** , high-MET ( $TT \rightarrow H(b\bar{b})t, Z(\nu\nu)t$ )
- **4-top** events (SM, CI, 2UED)
- **2HDM**:  $t\bar{t}H/A(t\bar{t}), b\bar{b}H/A(t\bar{t}), tbH^+(tb)$

- Selecting events with  $\geq 6$  j ( $\geq 7$  j for 0 $\ell$ )

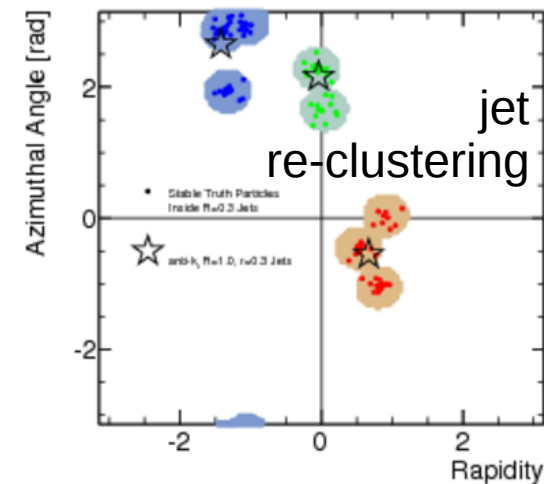
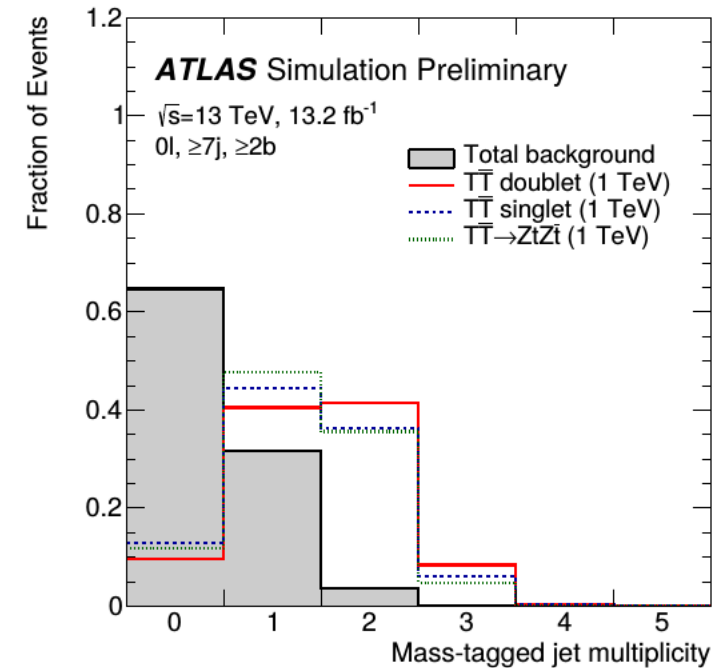
- Events categorised vs. **N(b-tags)** and **N(mass-tagged jets)**:

↪ re-clustered jets (anti- $k_t$  1.0) with  $p_T > 300$  GeV,  $|\eta| < 2$ ,  $m > 100$  GeV

- Fit  $m_{\text{eff}}$  in each region
- Split some of the SRs into high/low mass (HM / LM):

- 1 $\ell$ :  $m_{bb}^{\text{min}\Delta R} > \text{or} < 100$  GeV

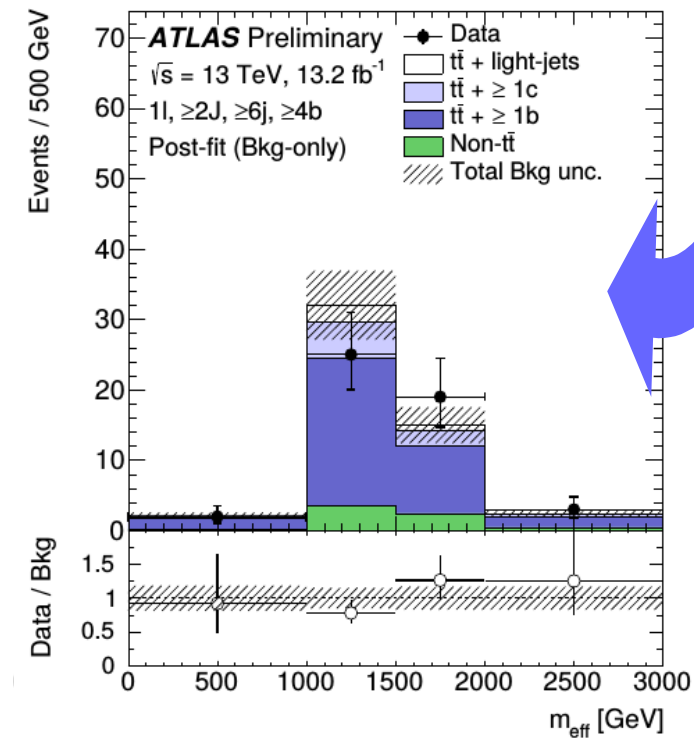
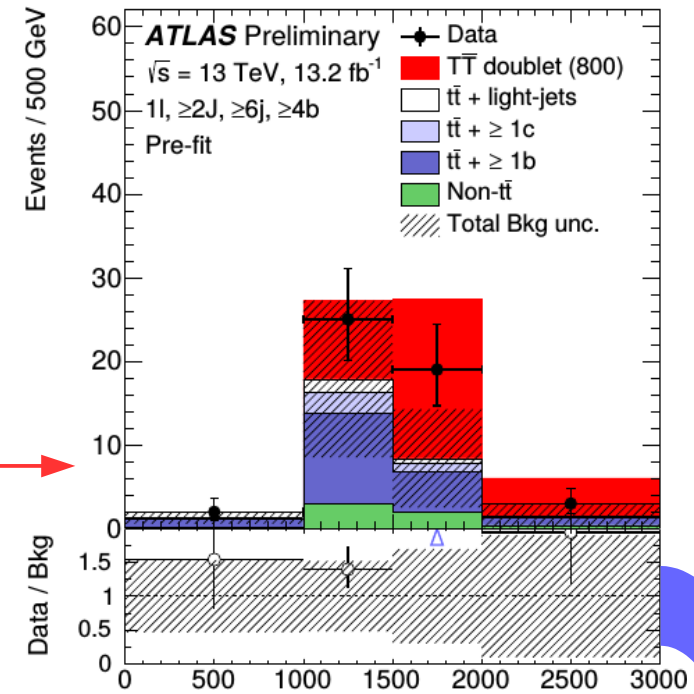
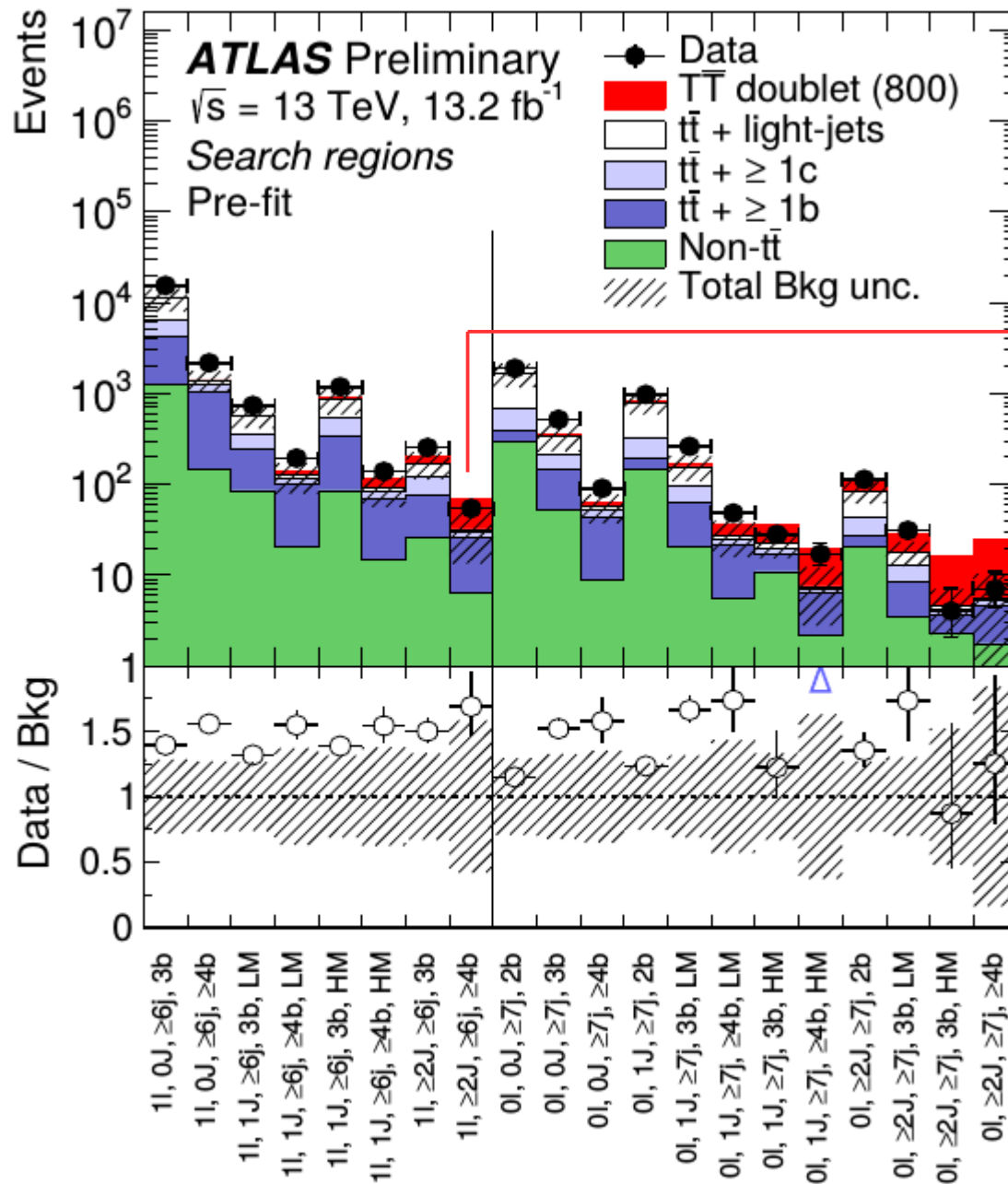
- 0 $\ell$ :  $m_{T,\text{min}}^b > \text{or} < 160$  GeV





# ttH(bb)-like analyses in ATLAS

## Search for VLQ - II

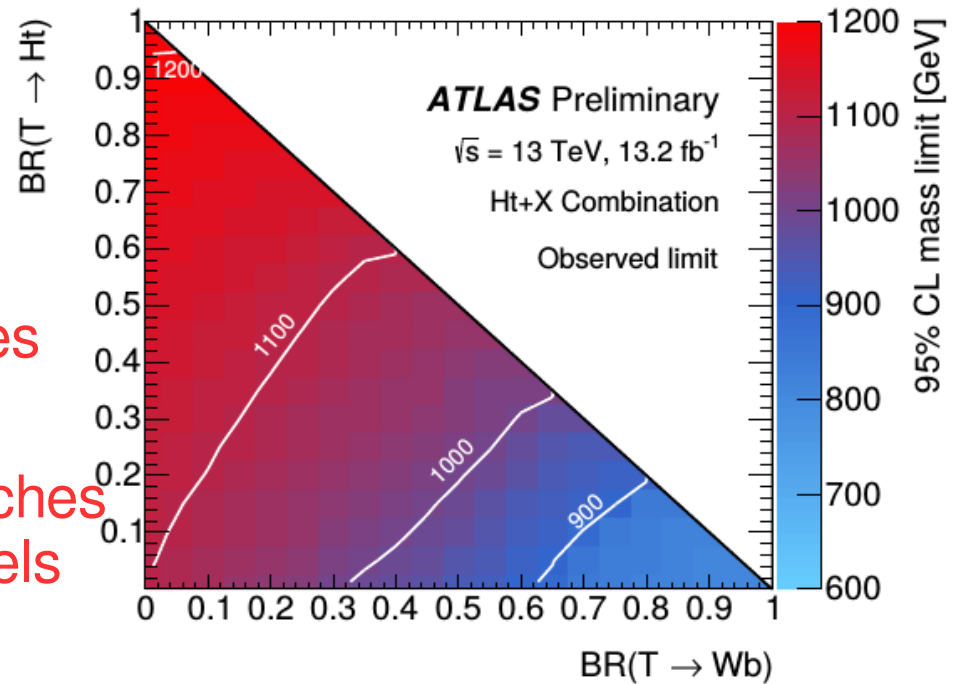


B-only  
Fit

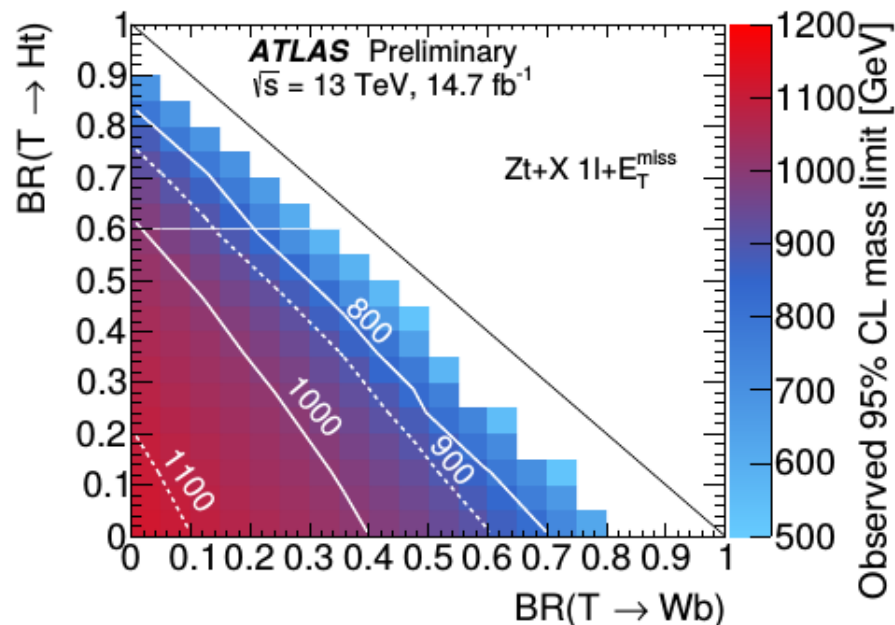
# ttH(bb)-like analyses in ATLAS

## Search for VLQ - III

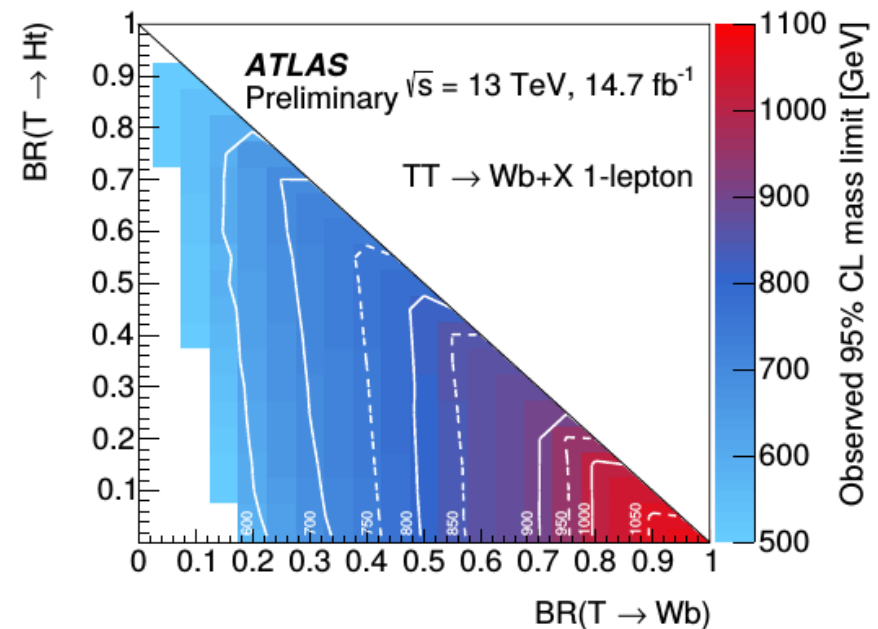
- Results:
  - no excess
  - stringent limits on VLQ masses ~1 TeV
  - complementary to other searches focusing on other decay channels



▷ ALAS-CONF-2016-101 (14.7 fb<sup>-1</sup>)



▷ ALAS-CONF-2016-102 (14.7 fb<sup>-1</sup>)

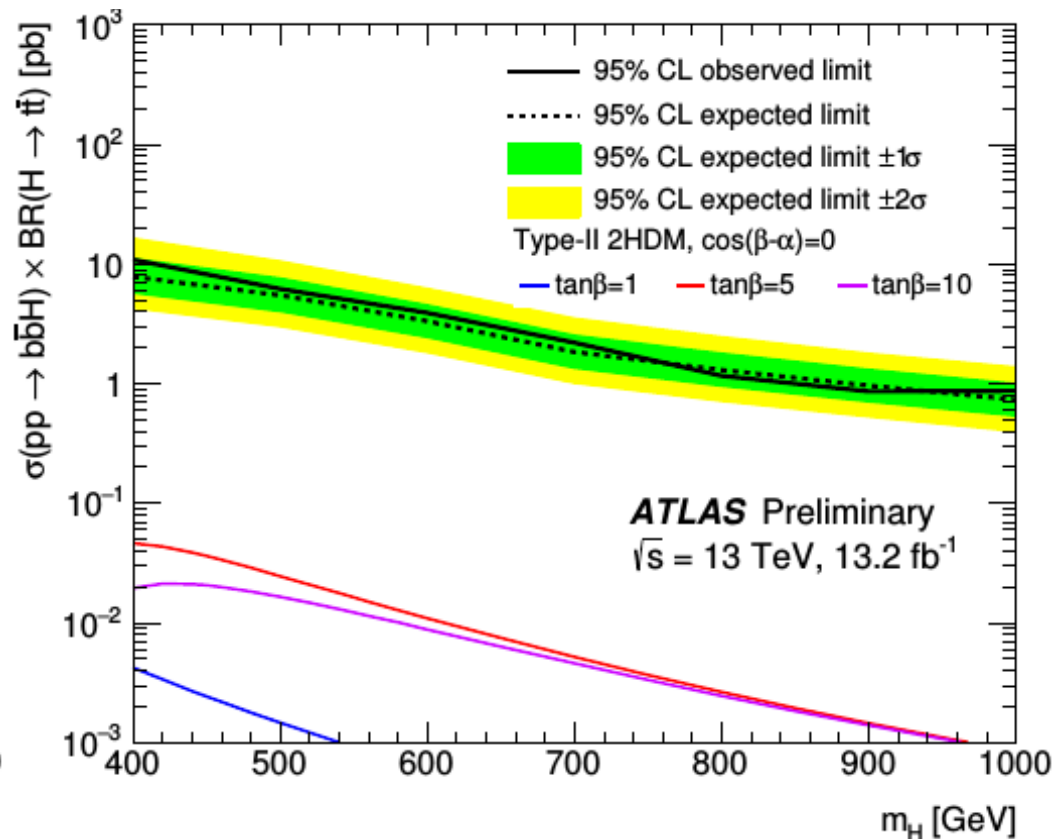
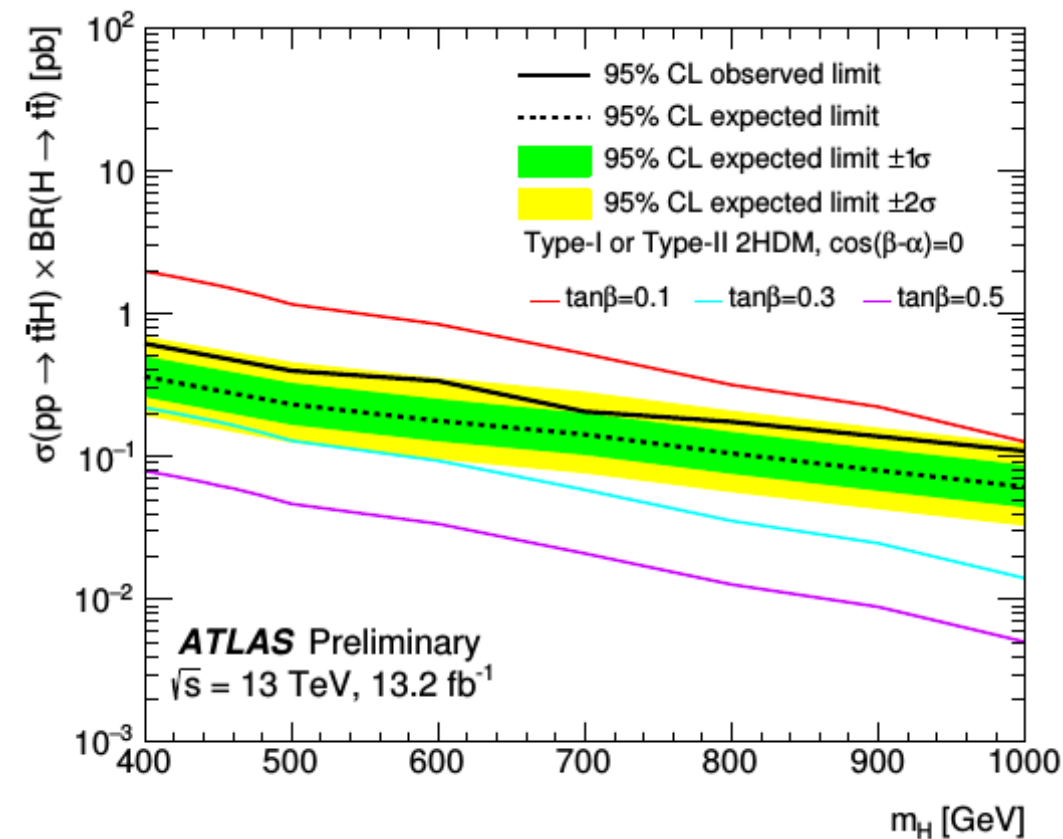


# ttH(bb)-like analyses in ATLAS

## Interpretation in 2HDM



- First limits on  $t\bar{t}H/A$ ,  $b\bar{b}H/A$  ( $H/A \rightarrow t\bar{t}$ )
  - for  $t\bar{t}H/A$  starting to exclude low  $\tan\beta$  regions up to  $\sim 1$  TeV, not yet sensitive for  $\tan\beta \sim 1$
  - for  $b\bar{b}H/A$  not sensitive enough:
    - dedicated analysis strategy needed (associated  $b$  are soft!)



- Main message:
  - shown some of the details of an ATLAS data analysis
  - highlighted challenges and opportunities of complicated final states



$t\bar{t}+b\bar{b}$  is a perfect place  
where your preferred New Physics model  
can hide its signature

# Backup

---



## Profile Likelihood Fit - significance

- Significance is given by the profile likelihood ratio:

Profile likelihood ratio  
only dependent on  $\mu$

$$\lambda(\mu) = \frac{\mathcal{L}(\mu, \hat{\hat{\theta}}_{\mu})}{\mathcal{L}(\hat{\mu}, \hat{\theta})}$$

Maximize L for a given  $\mu$   
'conditional' likelihood

Maximize L  
'unconditional' likelihood

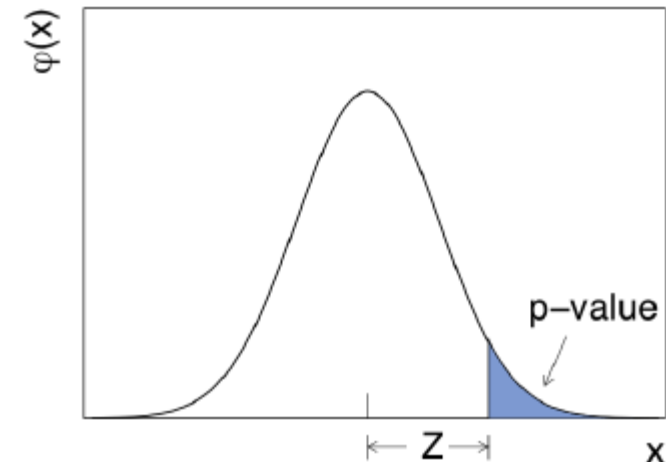
- Where the test statistic is (example background-only):

$$q_0 = \begin{cases} -2\ln\lambda(0) & \hat{\mu} \geq 0 \\ 0 & \hat{\mu} < 0 \end{cases} \quad \text{reject background-only}$$

- From this we can build p-value and significance:

$$p_0 = \int_{q_{0,\text{obs}}}^{\infty} f(q_0|0) dq_0$$

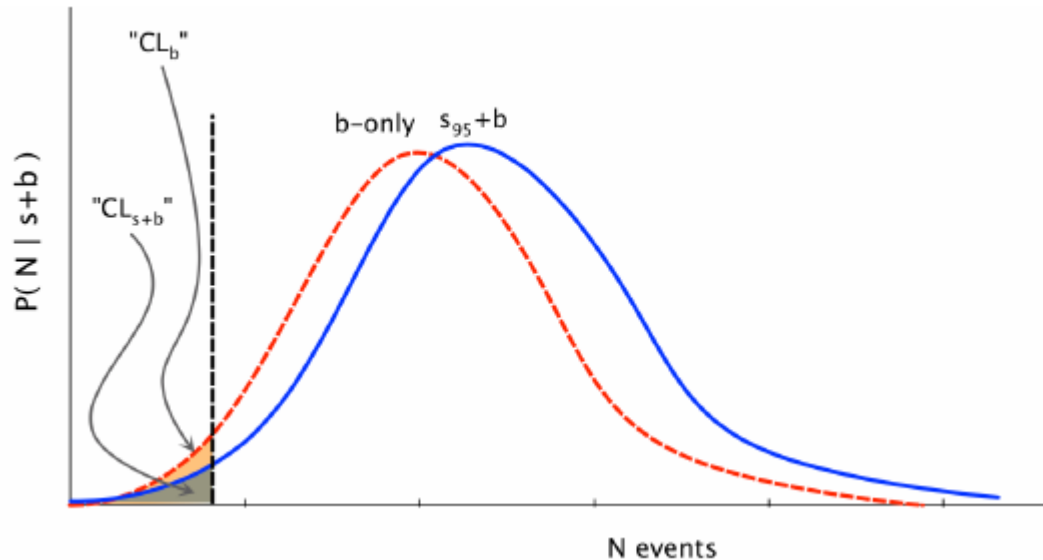
$$Z_0 = \Phi^{-1}(1 - p_0)$$





## Profile Likelihood Fit - limit setting

- When looking for a tiny signal on top of background, worry to exclude signal due to a downward fluctuation



Using CLs+b, one would expect to exclude the signal 5 % of the time

$$CL_s = CL_{s+b} / CL_b$$

test signal hypothesis:

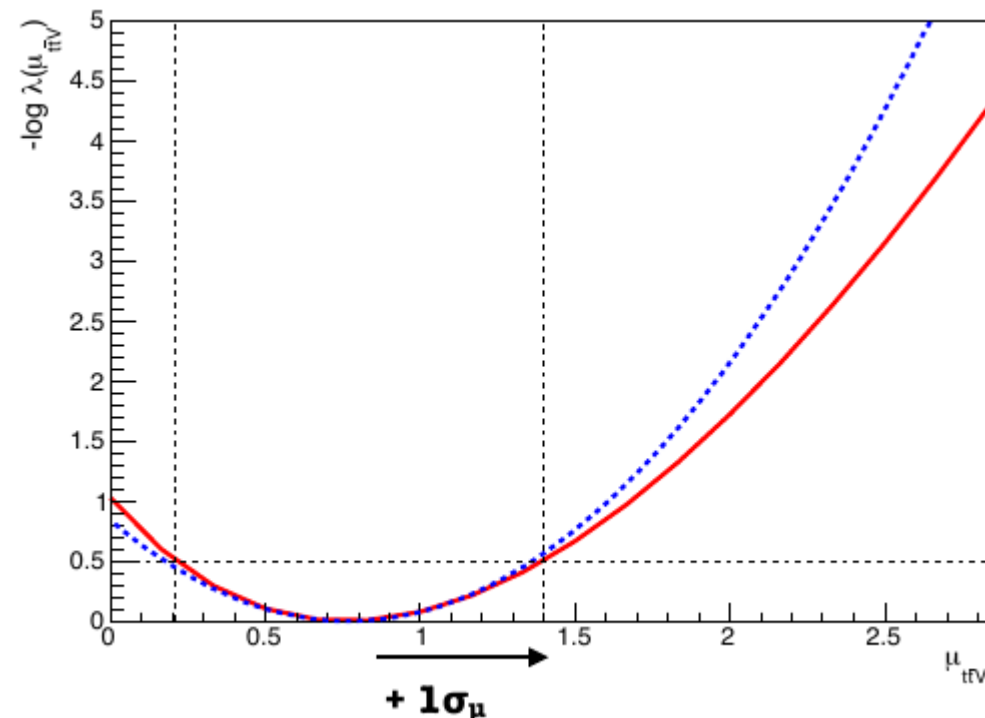
only exclude if  $CL_s < 5\%$

- So we use **CL<sub>s</sub>** to test a signal hypothesis (not a probability)
  - a downward fluctuation in S+B will not exclude signal since CL<sub>b</sub> will also be small
  - conservative approach

## Profile Likelihood Fit - asymptotic regime

- In large statistics data samples, the distribution of the test statistic is known according to Wilks' Theorem (independently on the prior!)
  - as a result, one can directly calculate p-value and significance:

$$-2 \log \lambda(\mu) = -2(\log L(\mu, \hat{\theta}) - \log L(\hat{\mu}, \hat{\theta})) = \left( \frac{\mu - \hat{\mu}}{\sigma_{\mu}} \right)^2$$



- distributed as a  $\chi^2$
- results in parabolic shape around the minimum
- This theorem holds true for even as few as  $\sim O(10)$  events in a data sample
- Saves from running very time consuming pseudo-experiments