

LHC Working Group on Forward Physics and Diffraction
CERN, March 21st 2017

Small- x Physics in ep, eA and pA at the FCC

Néstor Armesto

Departamento de Física de Partículas, AEFIS and IGFAE

Universidade de Santiago de Compostela

nestor.armesto@usc.es

for the LHeC/FCC-eh and FCC-AA Study Groups



Contents:

I. Introduction: why and where.

2. Determining the small-x PDFs.

3. Searching for physics beyond DGLAP.

4. Summary.

References:

→ **ep/eA**: LHeC CDR, arXiv:1206.2913, J. Phys. G 39 (2012) 075001;

arXiv:1211.4831; arXiv:1211.5102;

2015 LHeC Workshop <http://indico.cern.ch/event/356714/>.

→ **pA**: arXiv:1605.01389.

See the talks by Liliana Apolinário, Stefano Camarda, Emma Slade and Frank Zimmermann at the FCC Physics Week.

Disclaimer: not a full overview; FCC-eh work in progress.

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2. Determining the small-x PDFs.

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System	$\sqrt{s_{\text{NN}}}$ [TeV]	$\mathcal{L}_{\text{int/run}}$ [nb $^{-1}$]
pPb	63	8000
PbPb	39	33

FCC-he & HE-LHC-ep parameters

parameter	FCC-he	ep at HE-LHC	ep at HL-LHC	LHeC
E_p [TeV]	50	12.5	7	7
E_e [GeV]	60	60	60	60
\sqrt{s} [TeV]	3.5	1.7	1.3	1.3
bunch spacing [ns]	25	25	25	25
protons / bunch [10^{11}]	1	2.5	2.2	1.7
$\gamma\varepsilon_p$ [μm]	2.2	2.5	2.0	3.75
electrons / bunch [10^9]	2.3	2.3	2.3	1.0
electron current [mA]	15	15	15	6.4
IP beta function β_p^* [m]	15	10	7	10
hourglass factor	0.9	0.9	0.9	0.9
pinch factor	1.3	1.3	1.3	1.3
proton-ring filling factor	0.8	0.8	0.8	0.8
luminosity [$10^{33} \text{ cm}^{-2}\text{s}^{-1}$]	11	9	10	1.3

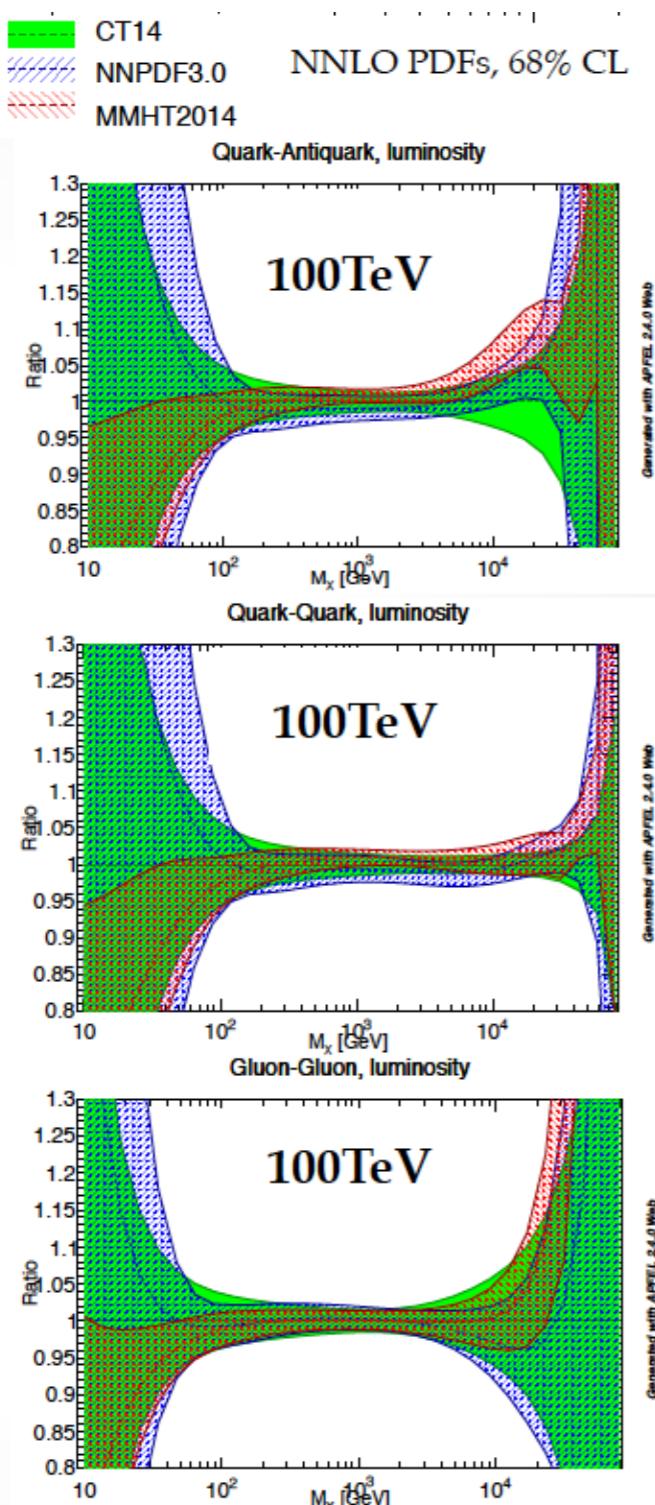
FCC-he & HE-LHC-eA parameters

parameter	FCC-Ae	eA at HE-LHC	LHeC
E_A [TeV]	19.7	4.92	2.76
E_e [GeV]	60	60	60
\sqrt{s} [TeV] / nucleon-electron pair	2.2	1.1	0.8
no. bunches	2215	592	592
ions / bunch [10^8]	1.2	1.2	1.2
$\gamma\varepsilon_A$ [μm]	0.9	1.0	1.5
electrons / bunch [10^9]	11	11	4.7
electron current [mA]	15	15	6.4
IP beta function β_A^* [m]	15	10	10
hourglass factor	0.9	0.9	0.9
pinch factor	1.3	1.3	1.3
ion-ring filling factor	0.8	0.8	0.8
e-N luminosity [$10^{32} \text{ cm}^{-2}\text{s}^{-1}$]	28	9	1.5

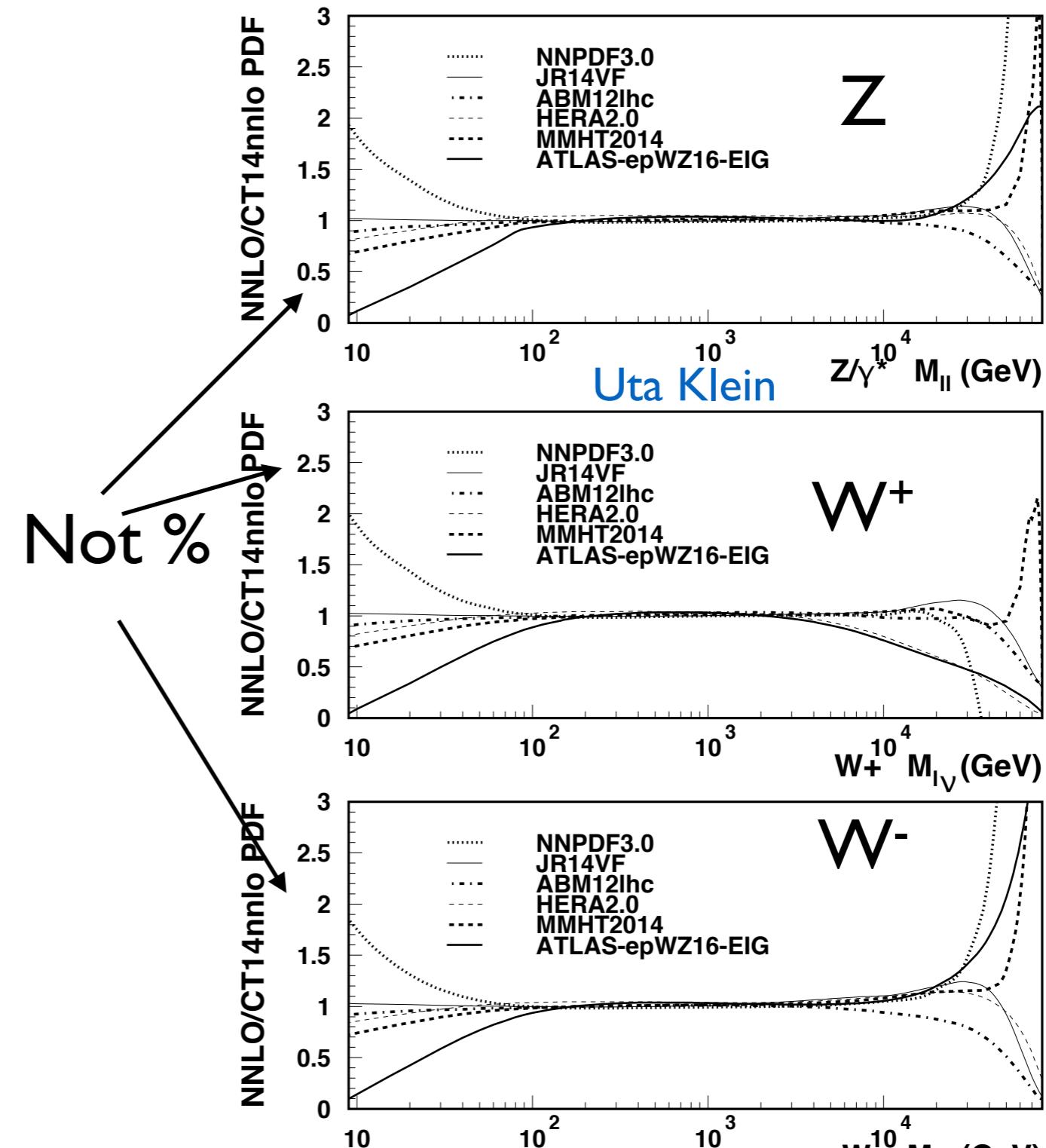
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Parton luminosities

- Assuming collinear factorisation holds, small -x PDFs poorly known for particle production (even for heavy objects at the FCC).

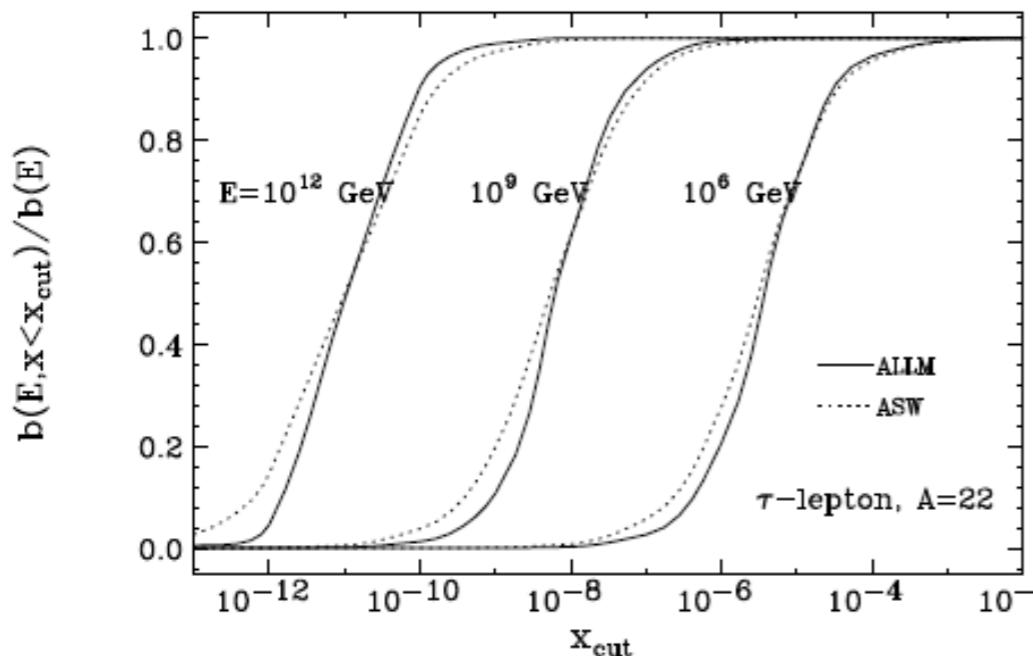
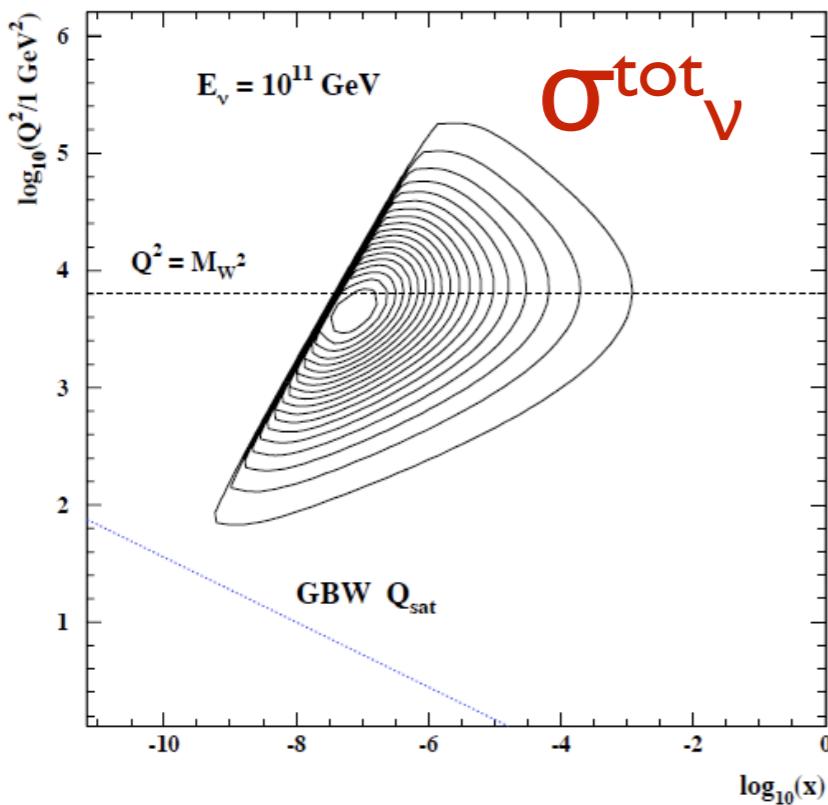


Why (I):



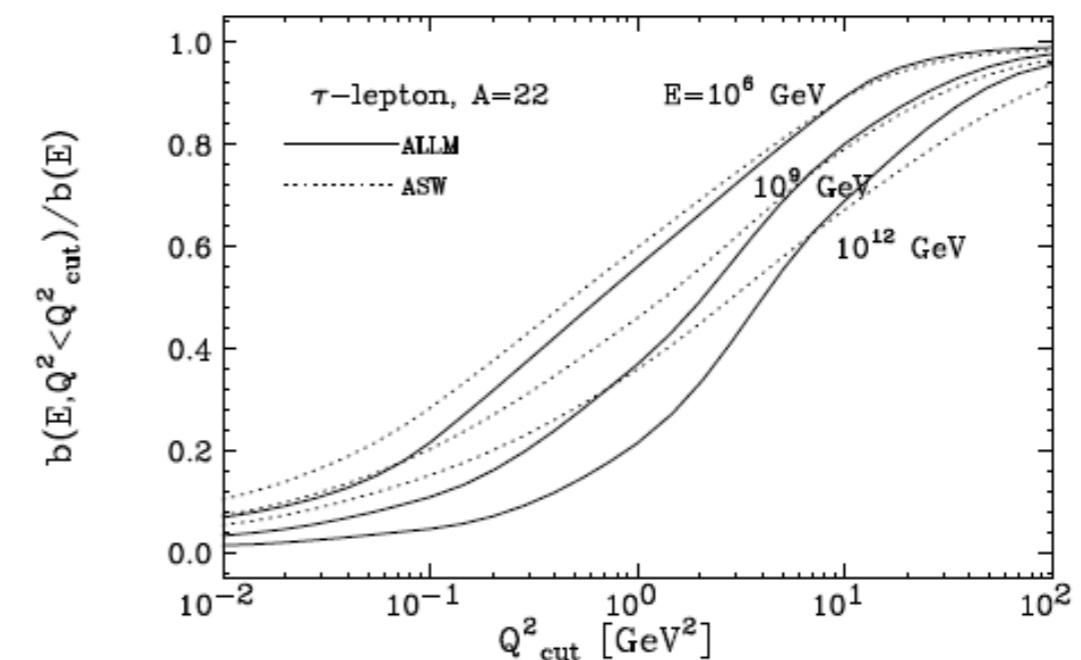
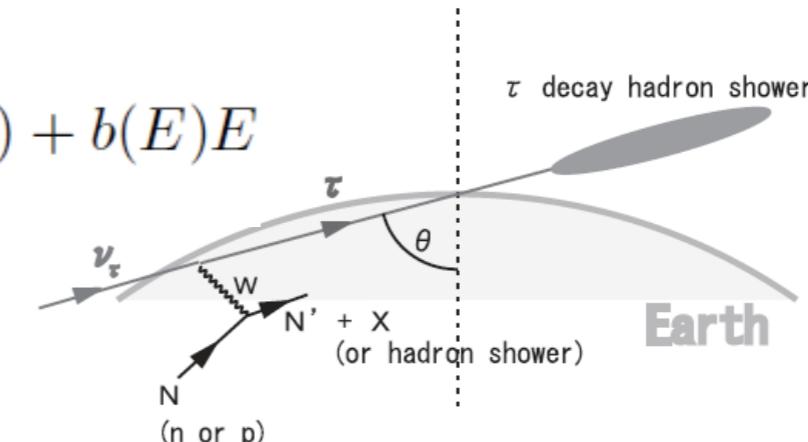
Why (I):

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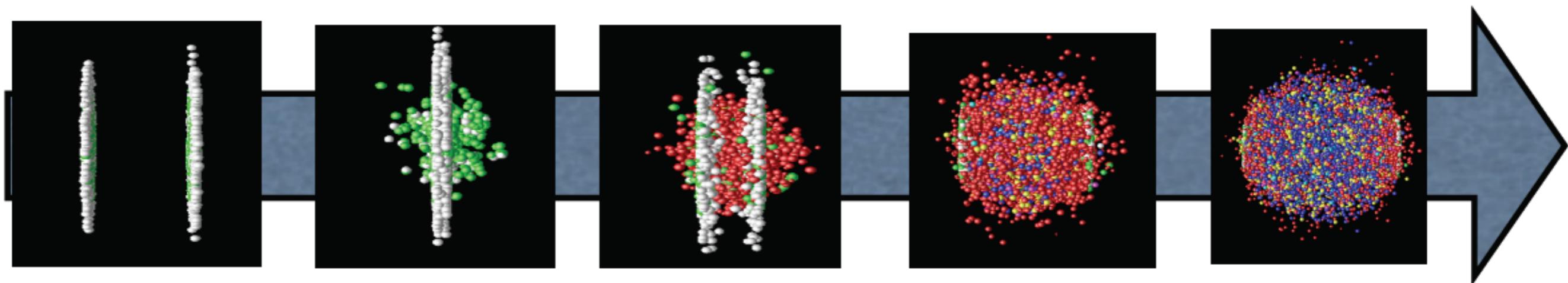
- ν -n/A cross section (τ energy loss) dominated by DIS structure functions / (n)PDFs at small x and large (small) Q^2 .

$$-\left\langle \frac{dE}{dX} \right\rangle = a(E) + b(E)E$$



Why (I):

- Assuming collinear factorisation holds, small $-x$ PDFs poorly known for particle production (even for heavy objects at the FCC).



Gluons from saturated nuclei → Glasma? → QGP → Reconfinement

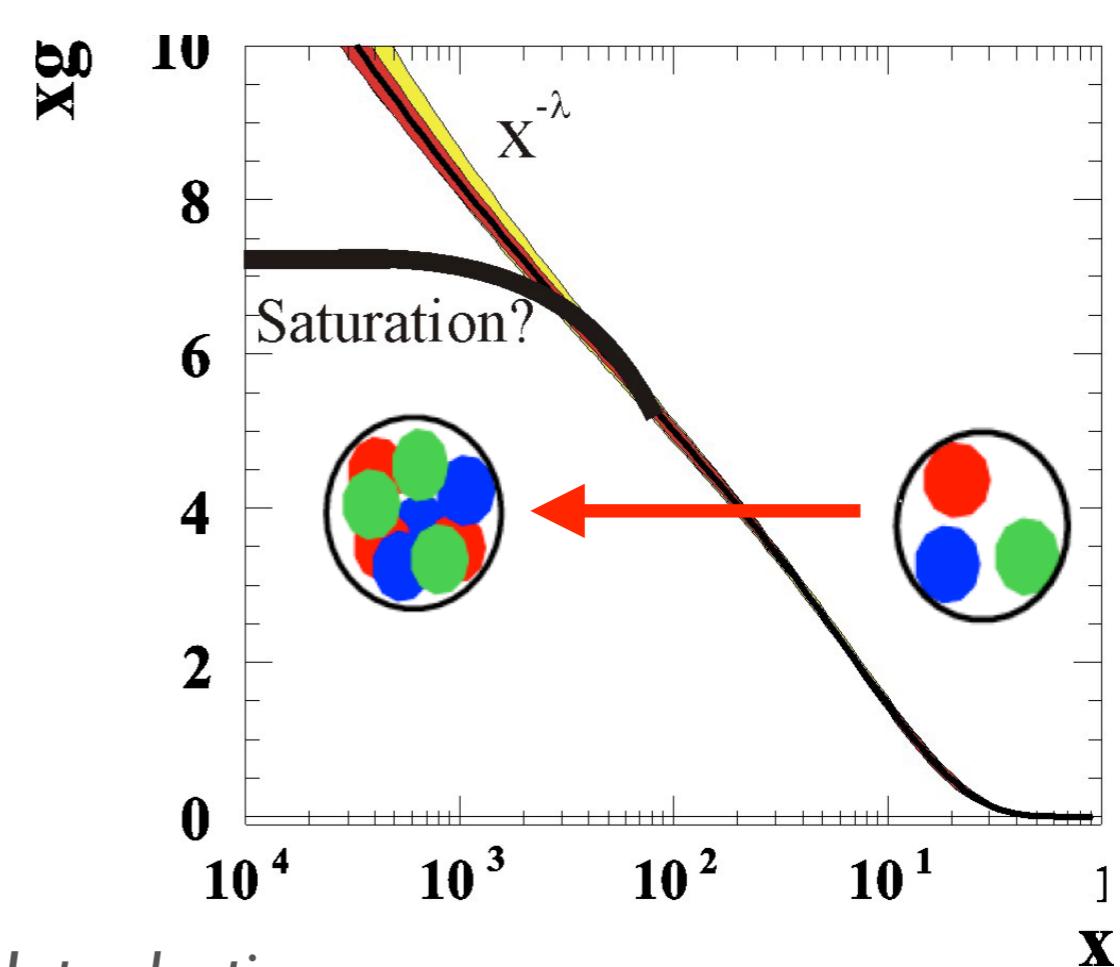
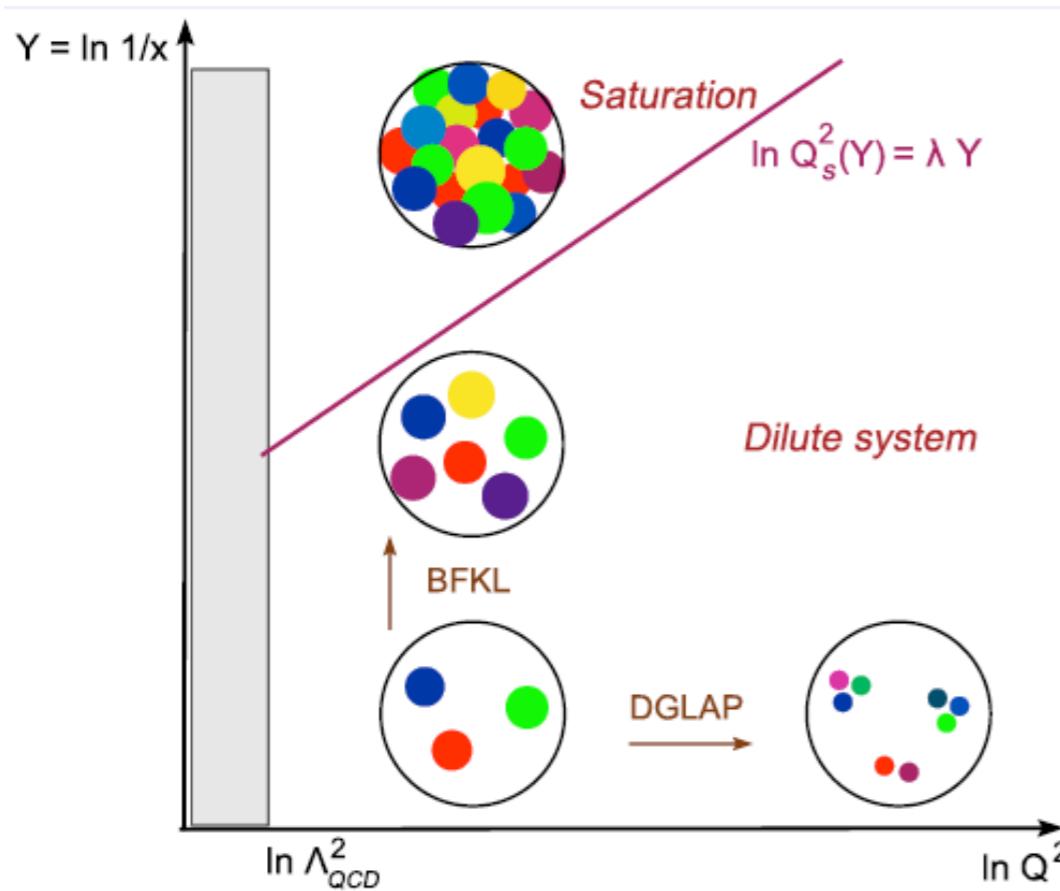
- Nuclear wave function at small x : nuclear structure functions.

- Particle production at the very beginning: which factorisation?
- How does the system behave as ~ isotropised so fast?: initial conditions for plasma formation.

Why (II):

- Standard fixed-order perturbation theory (DGLAP, linear evolution) must eventually fail:
 - Large logs e.g. $\alpha_s \ln(1/x) \sim 1$: resummation (BFKL,CCFM,ABF,CCSS).
 - High density \Rightarrow linear evolution must not hold: saturation, either perturbative (CGC) or non-perturbative.

$$\frac{xG_A(x, Q_s^2)}{\pi R_A^2 Q_s^2} \sim 1 \implies Q_s^2 \propto A^{1/3} x^{-0.3}$$

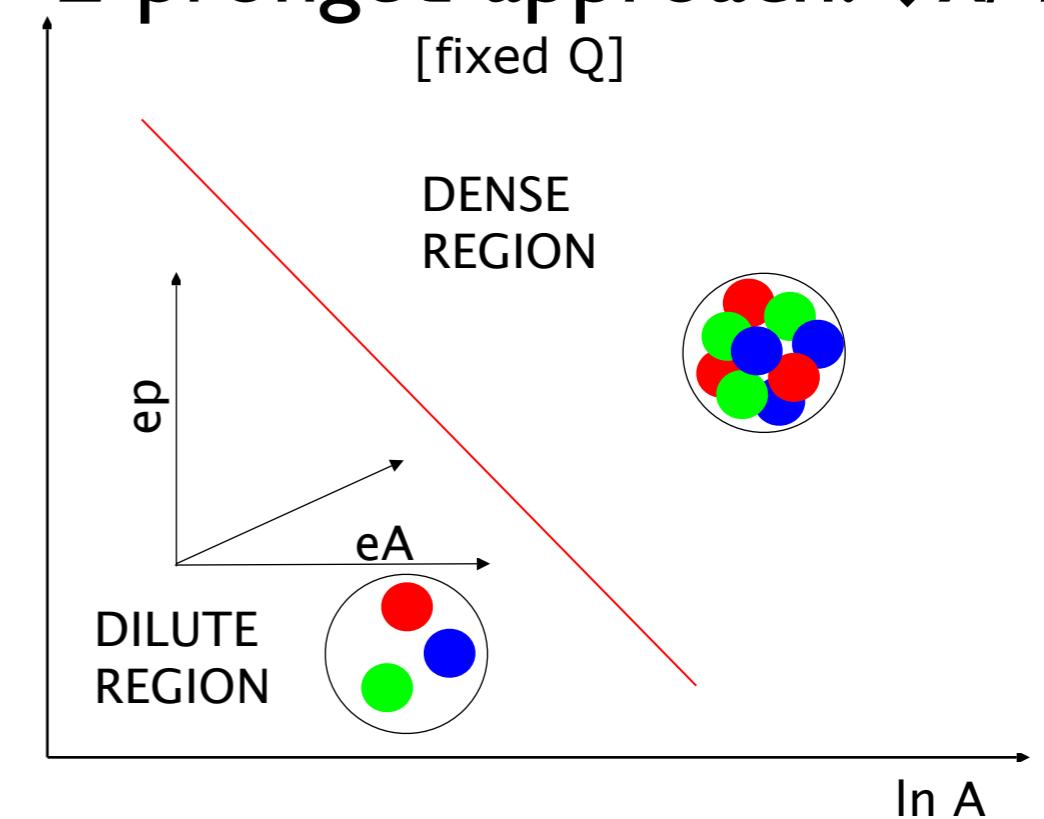
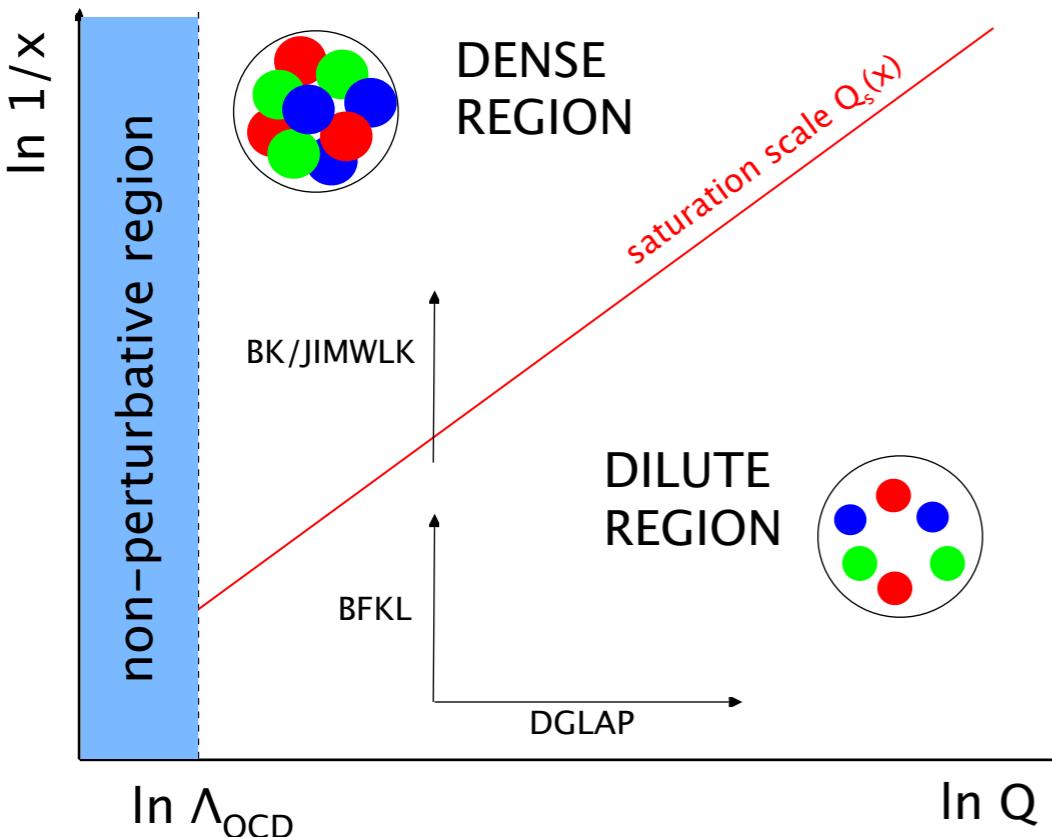


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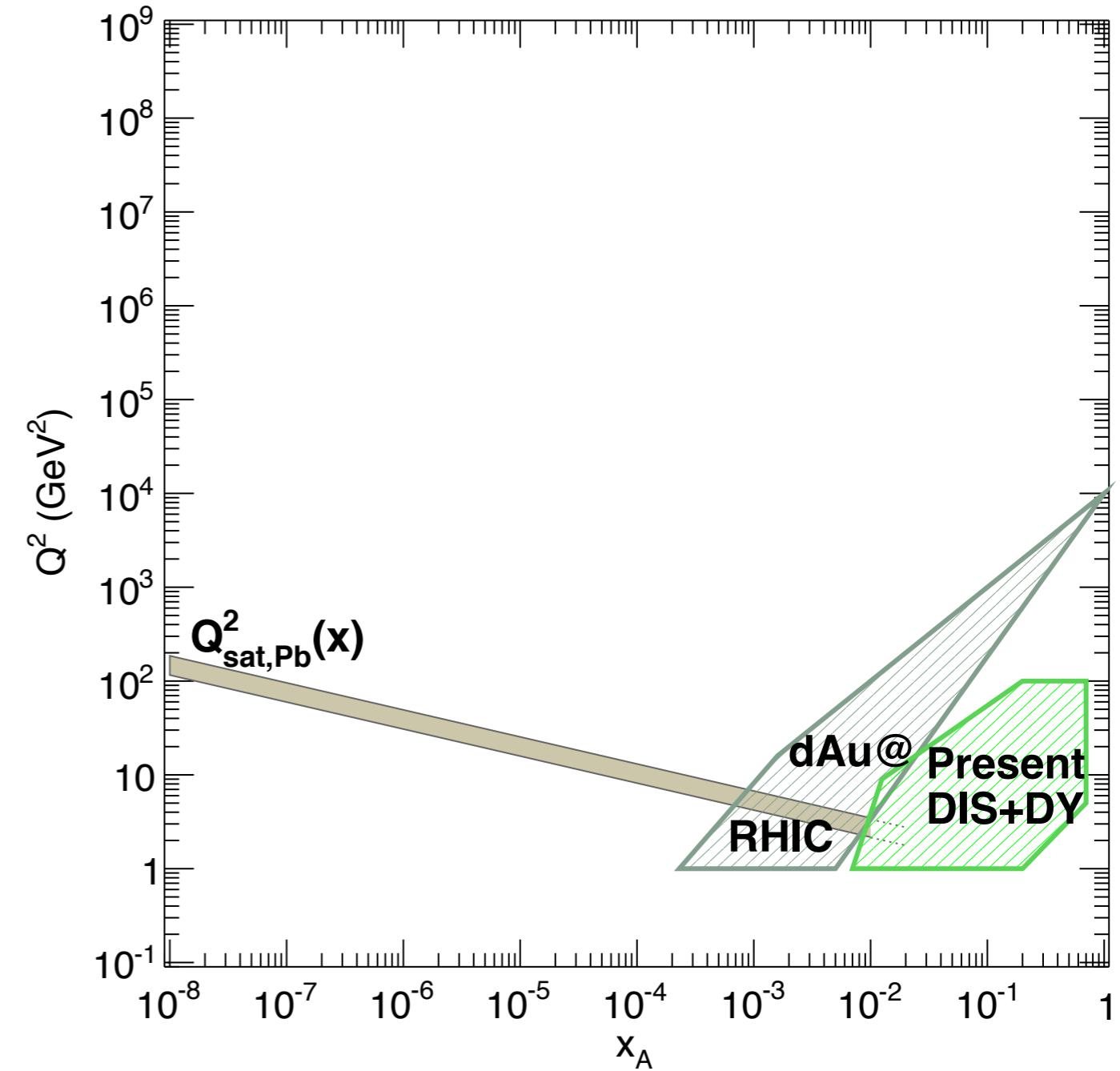
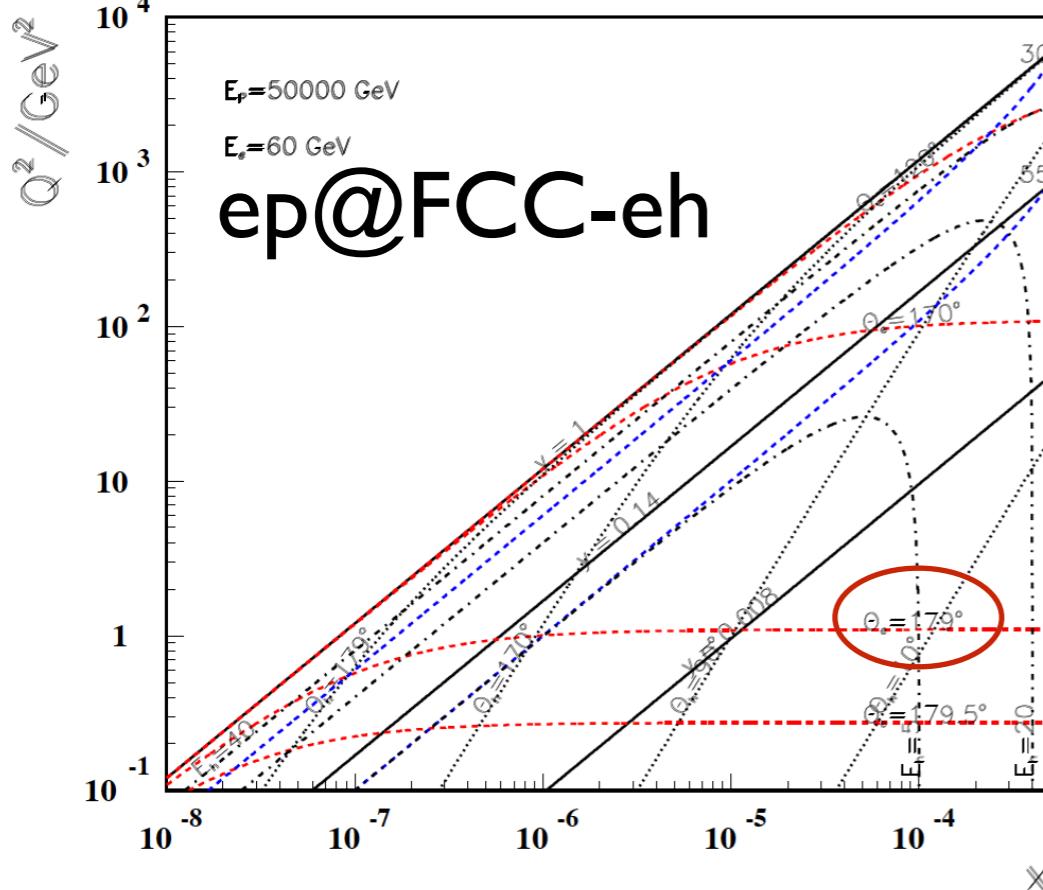
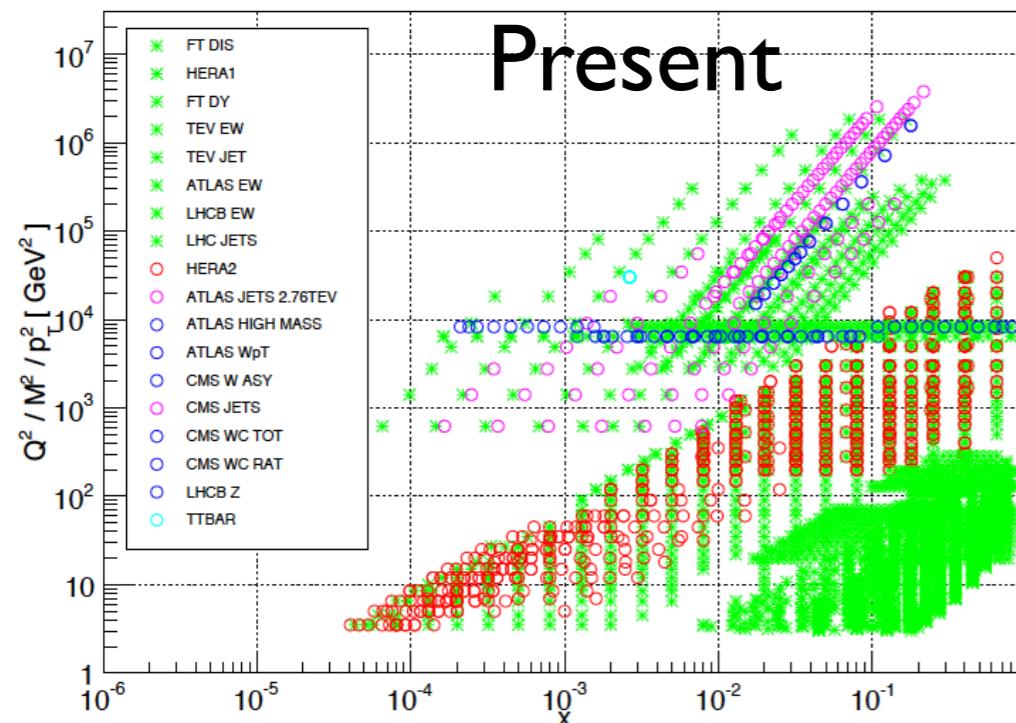
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- Non-linear effects driven by density \Rightarrow 2-pronged approach: $\downarrow x/\uparrow A$.



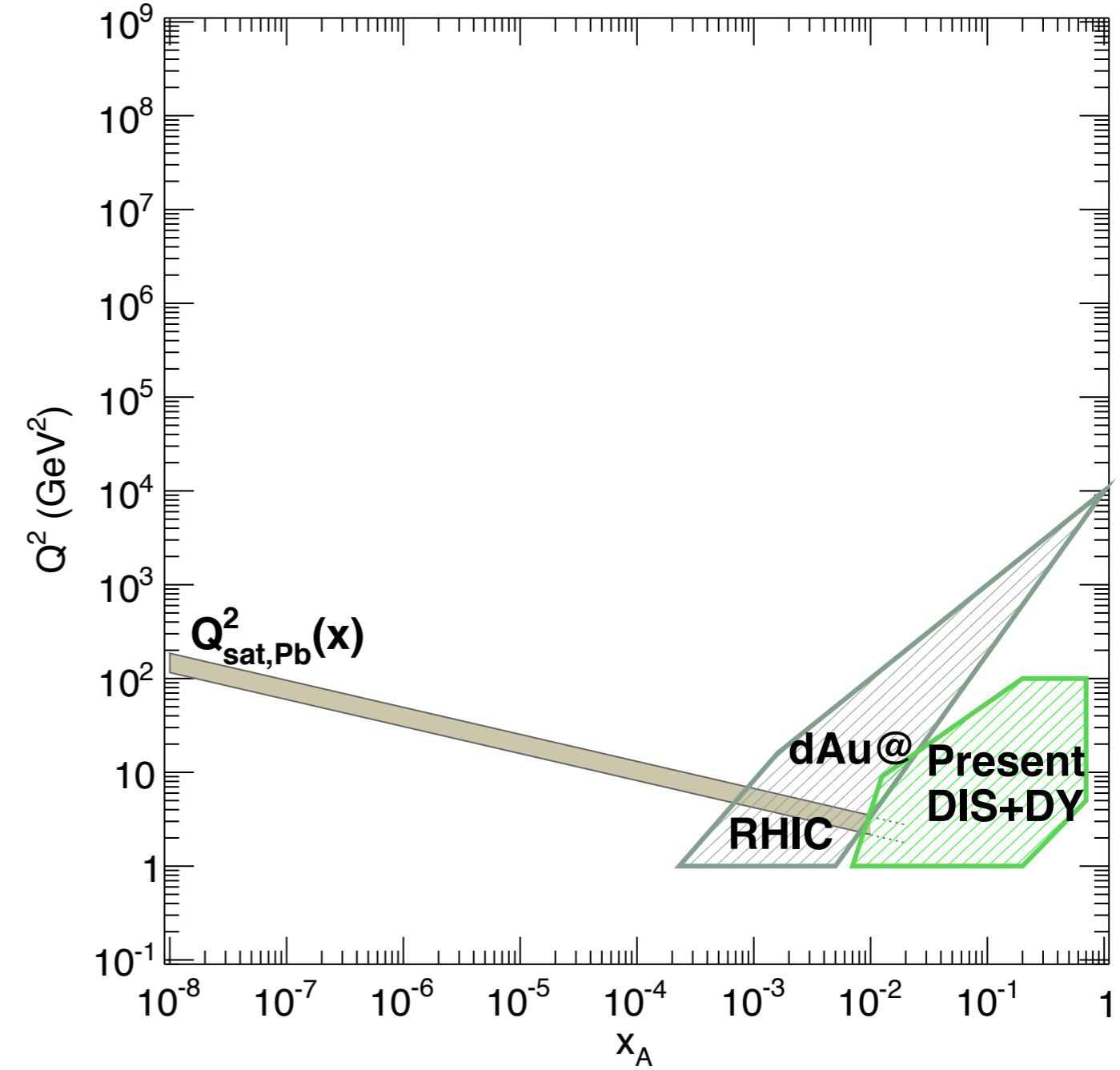
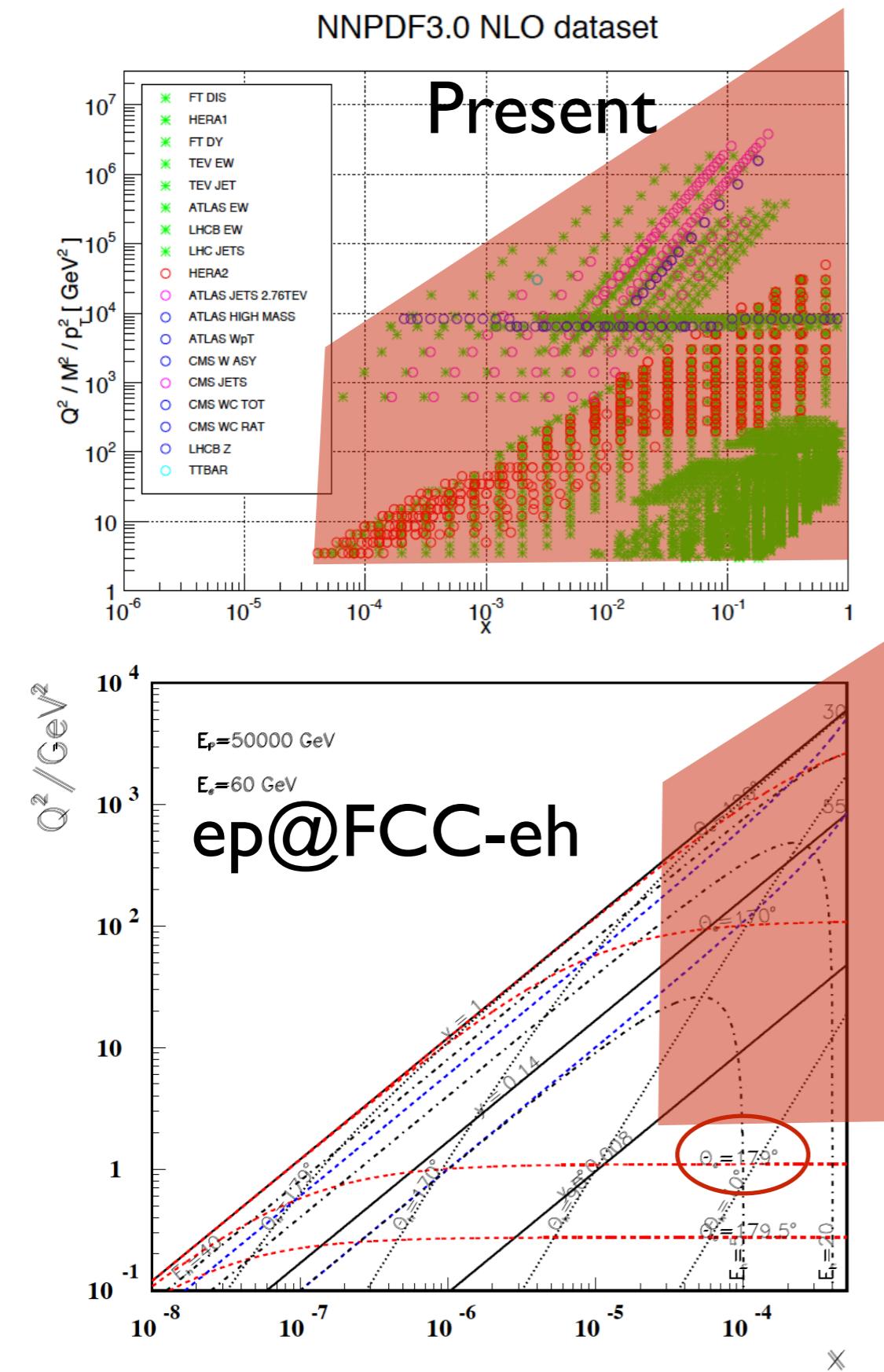
Where:

NNPDF3.0 NLO dataset



- Small- x demands ~ 1 degree acceptance [$Q^2_{\min}(x \rightarrow 1) \propto E_e^2$].
- High- x and Q^2 linked to small x via evolution (HERA final analysis).

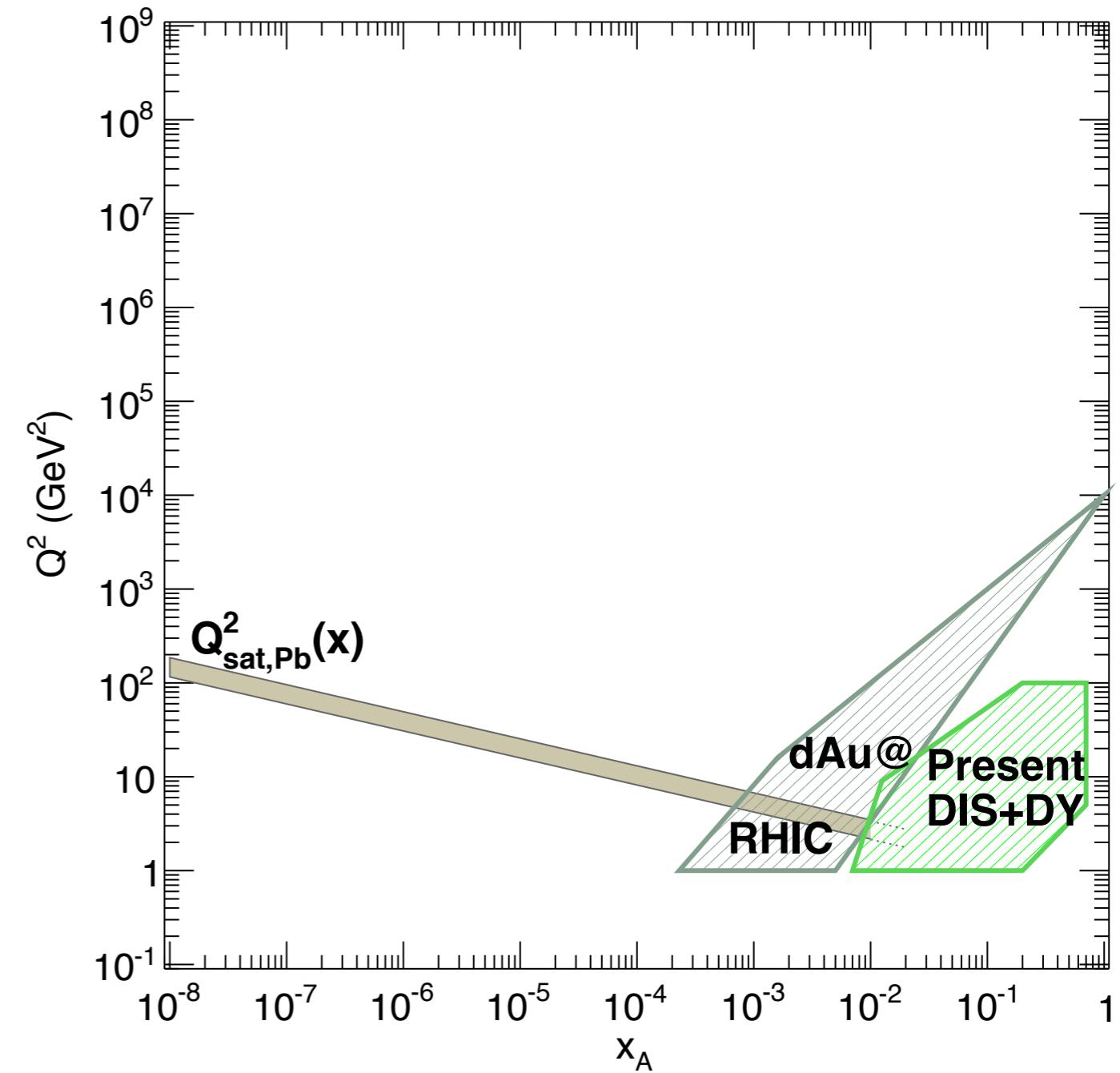
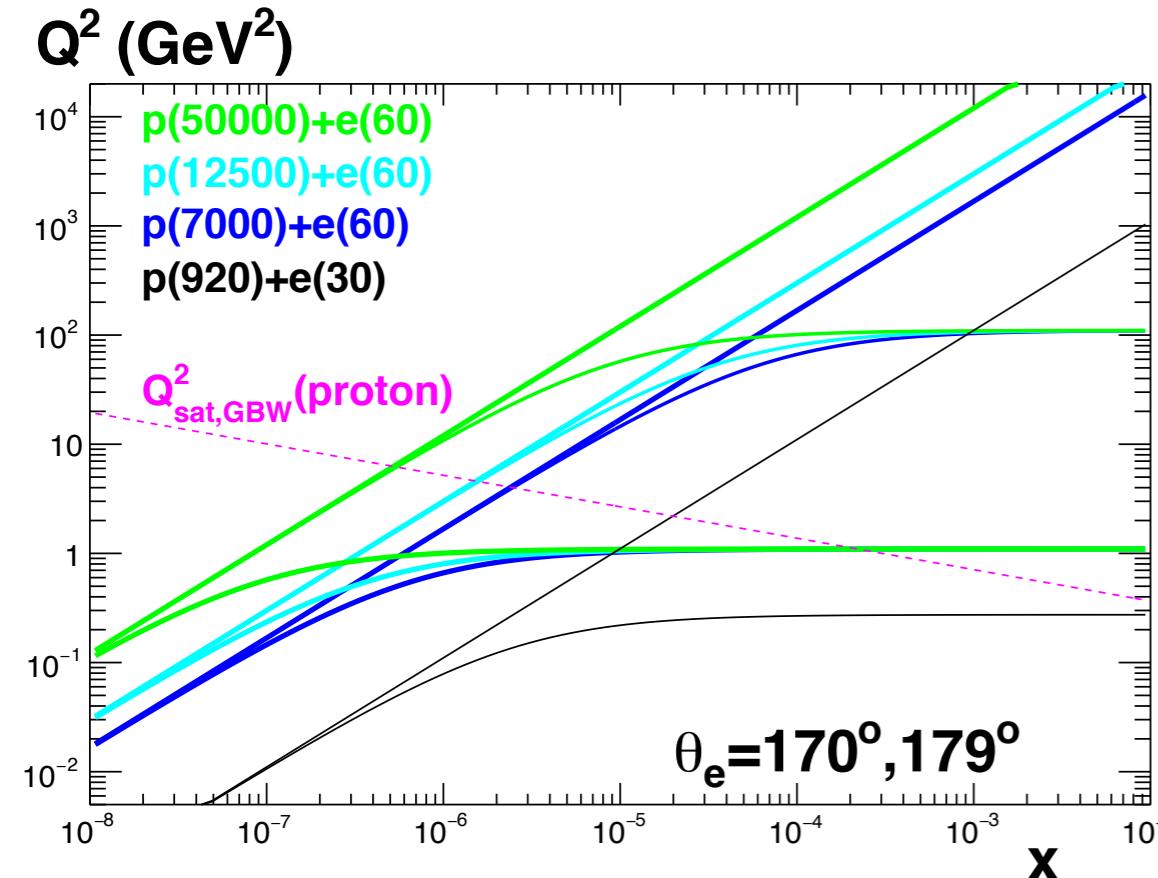
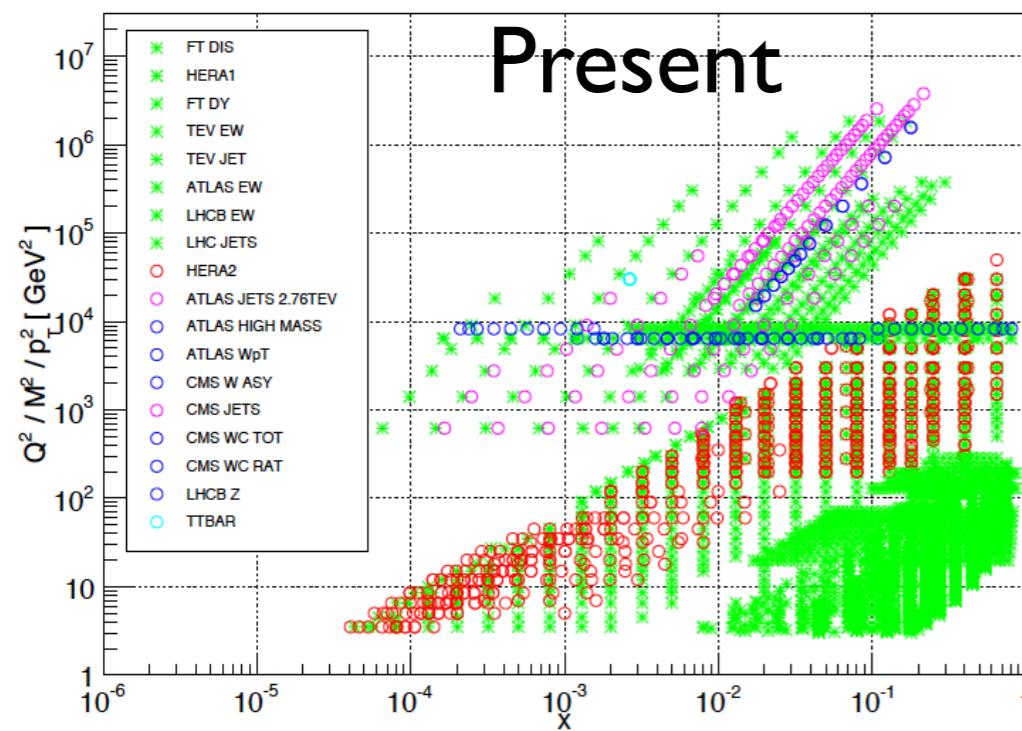
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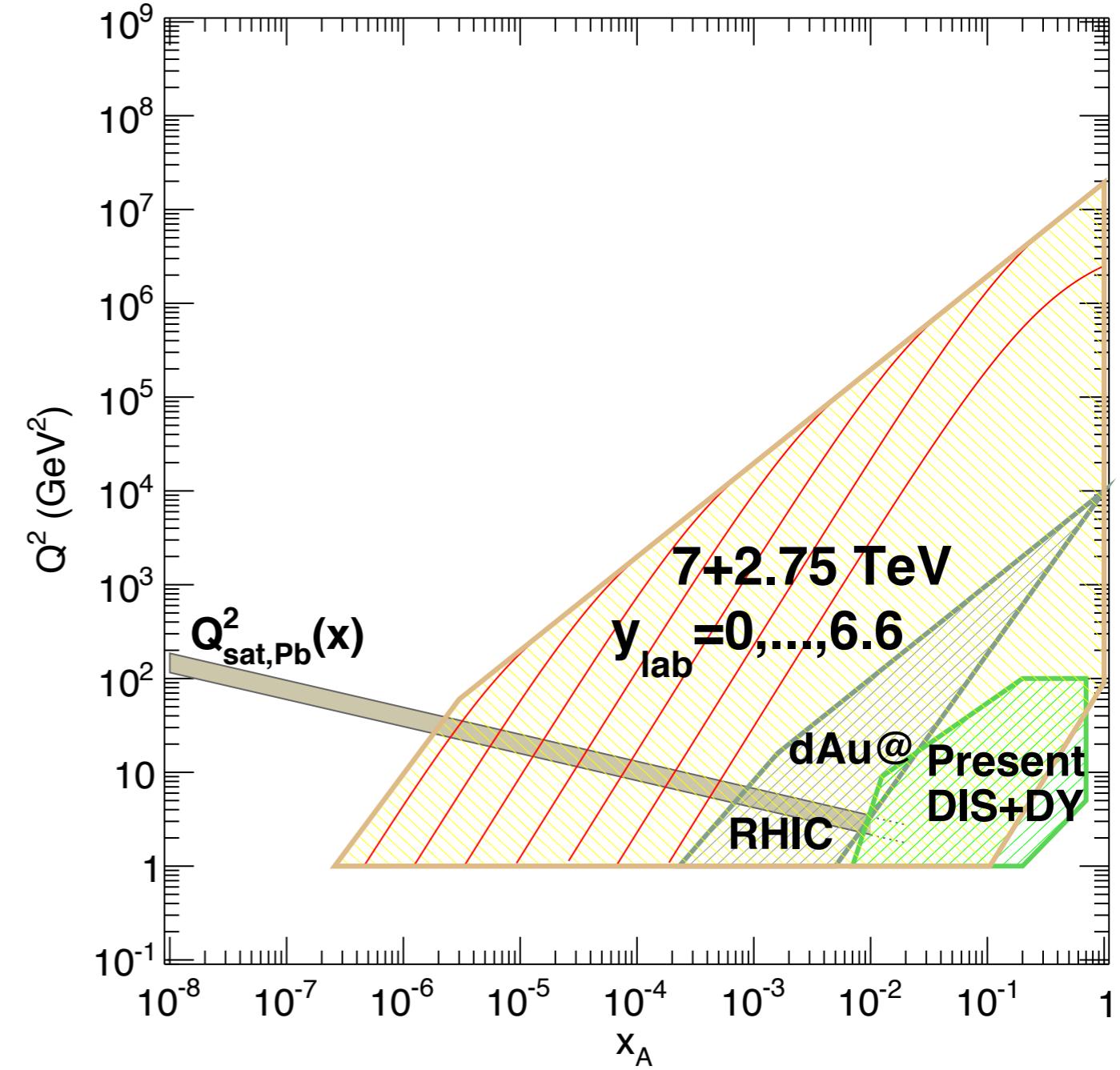
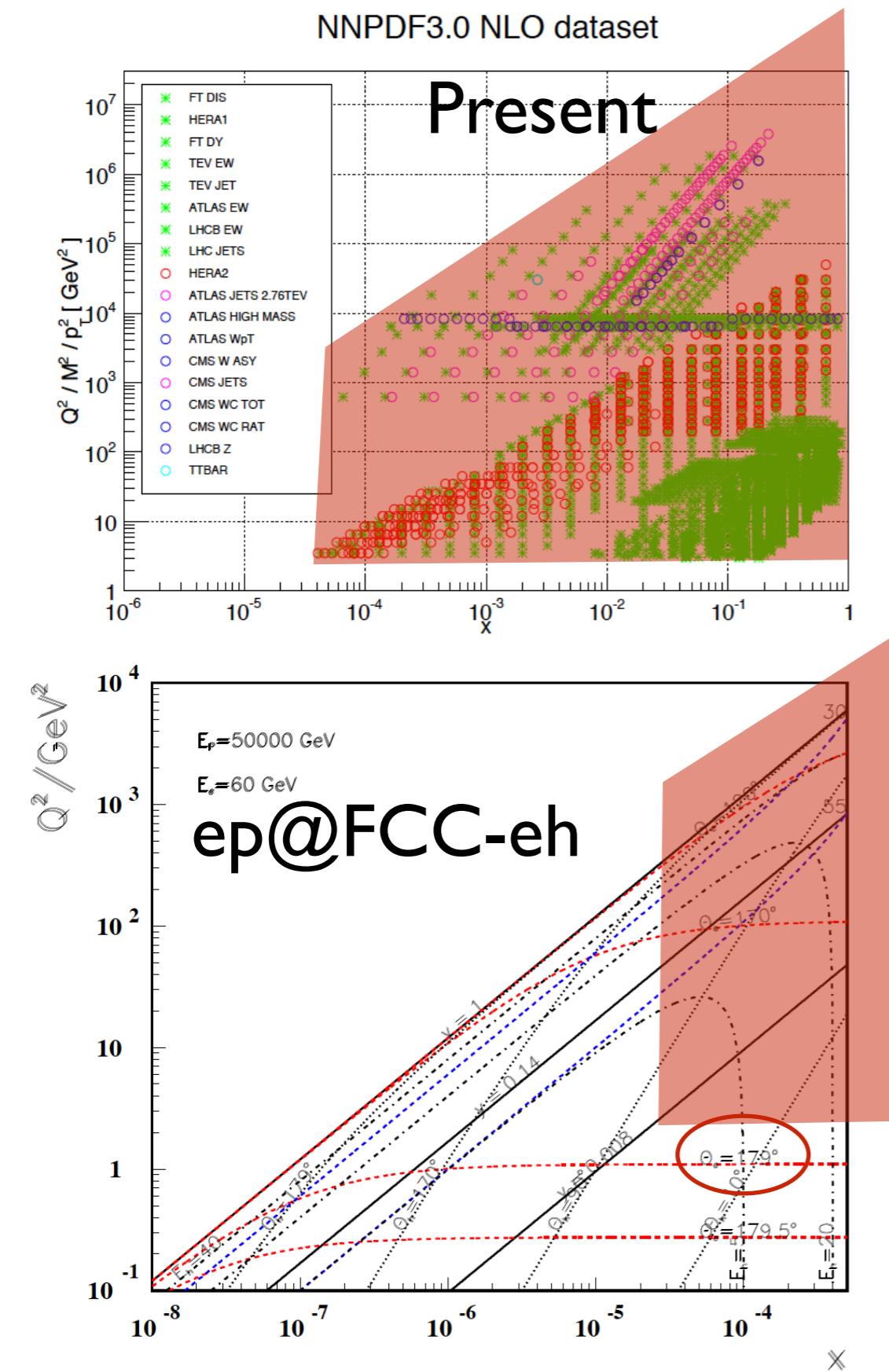
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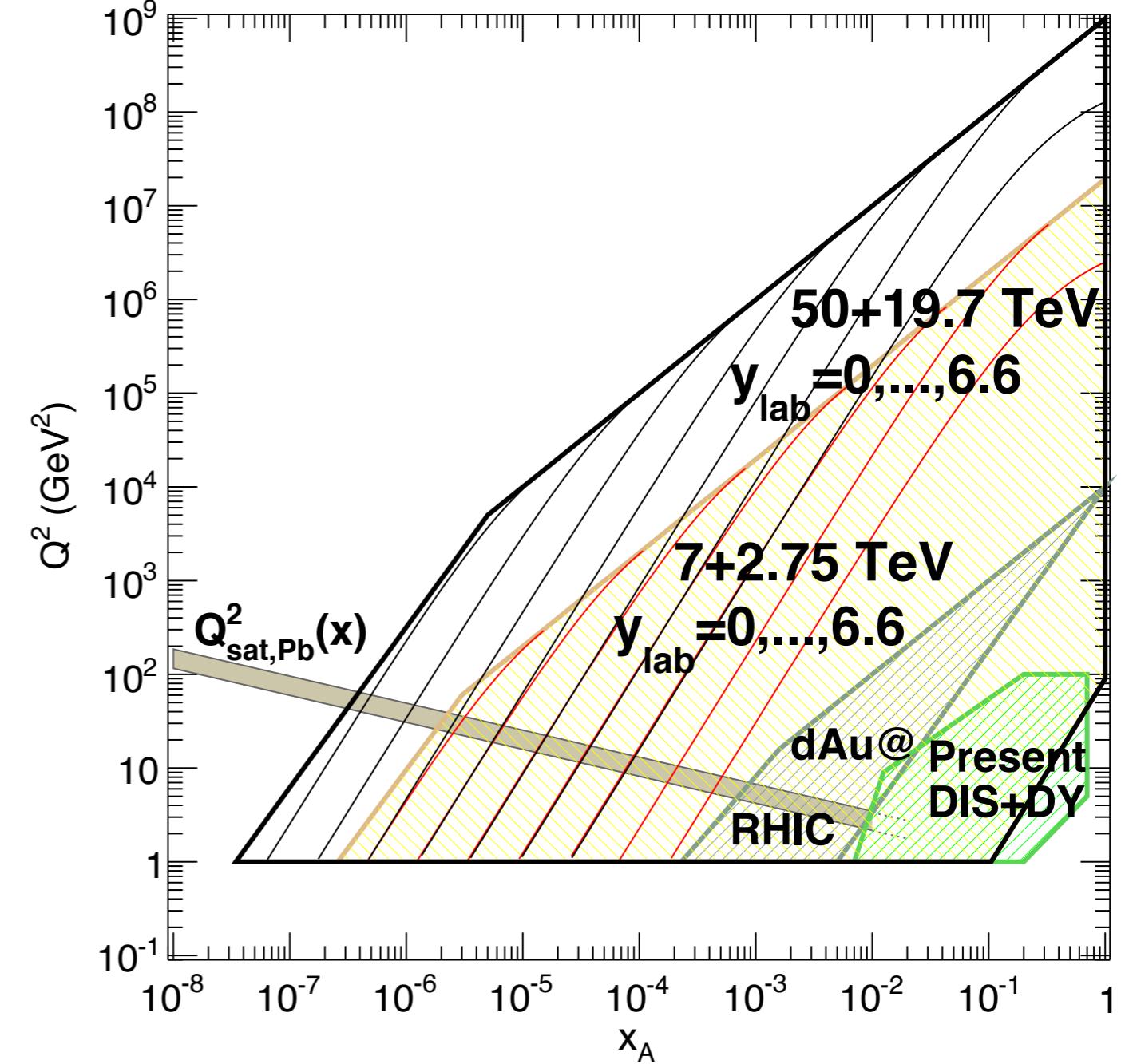
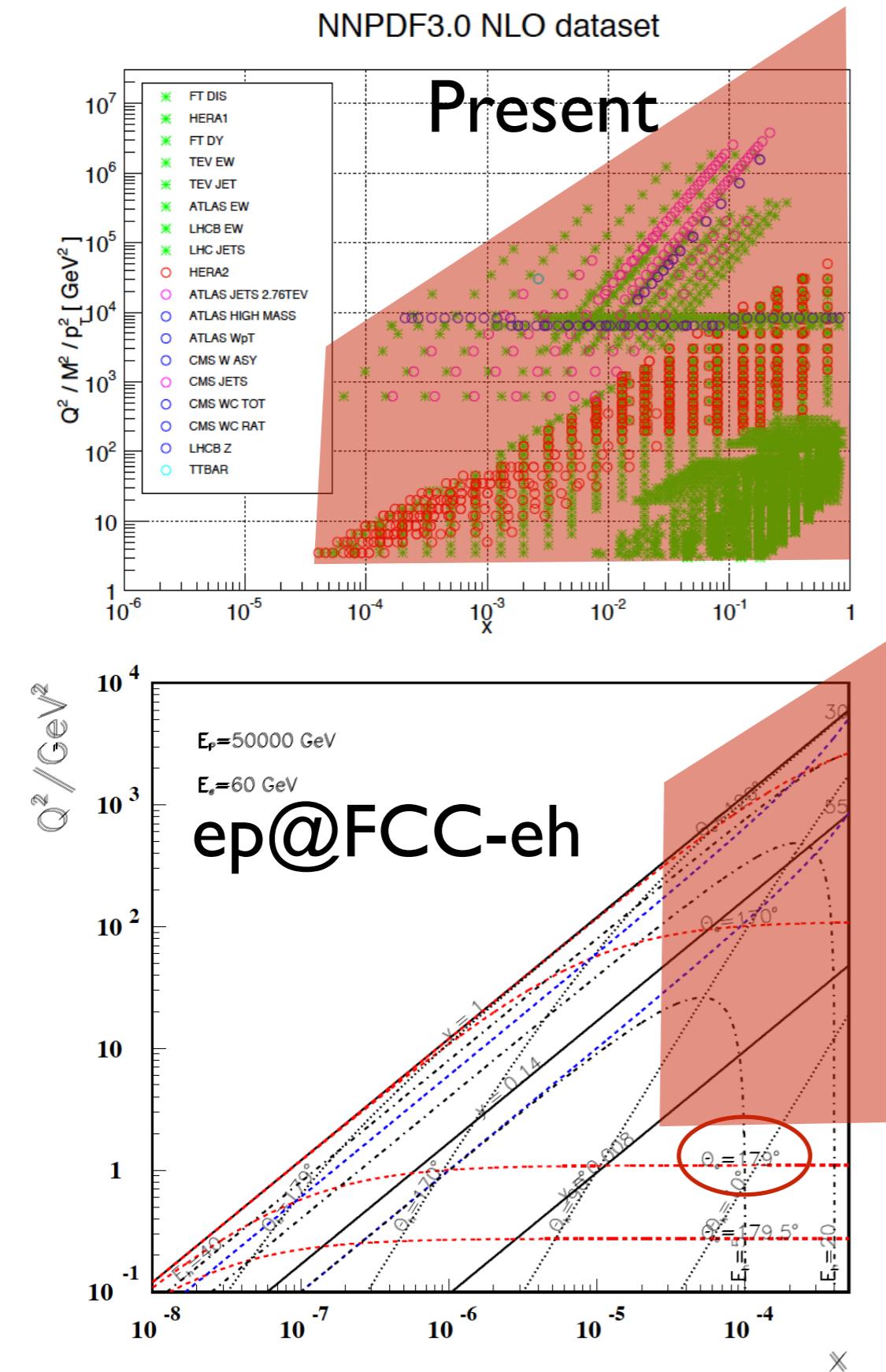
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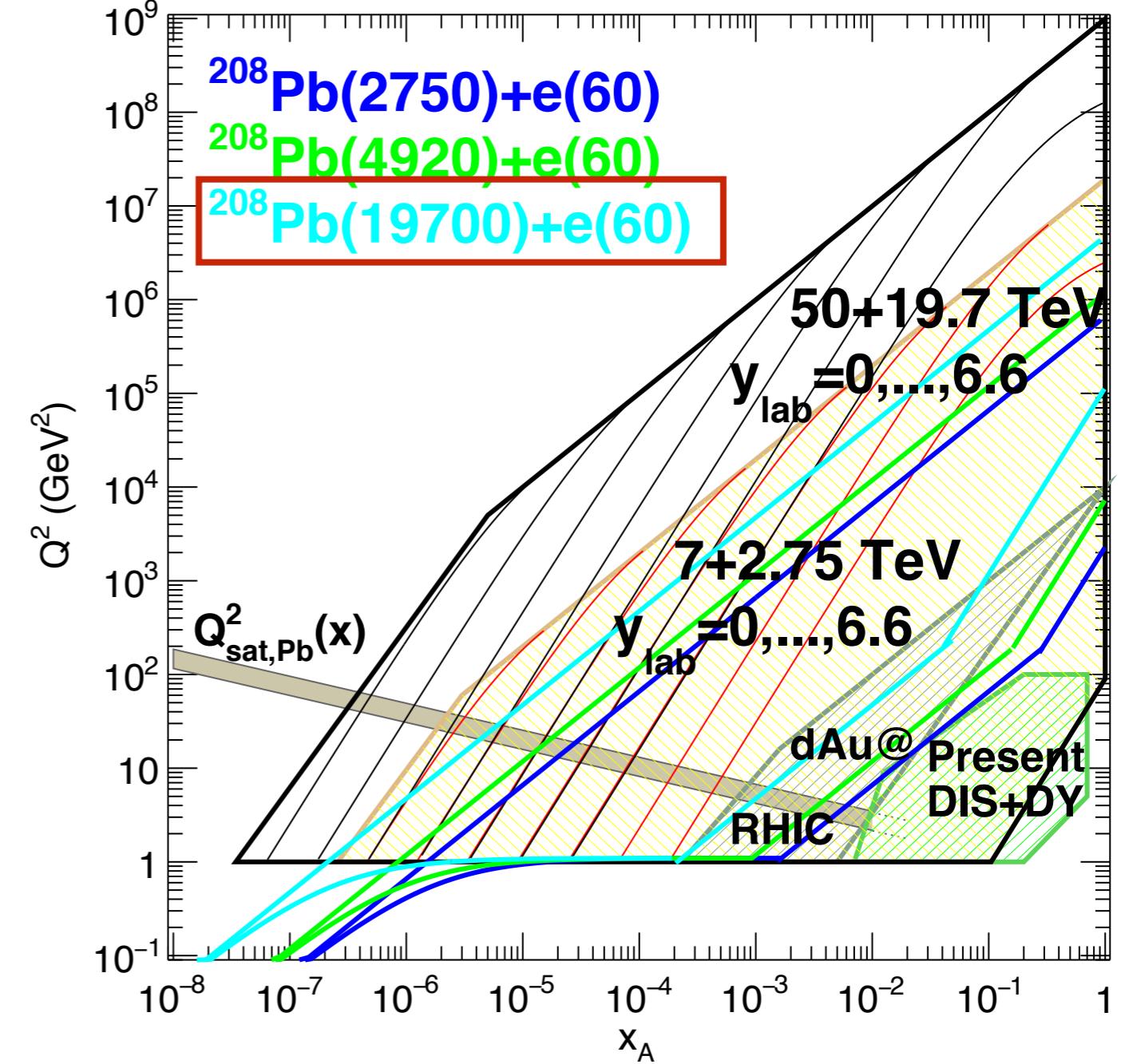
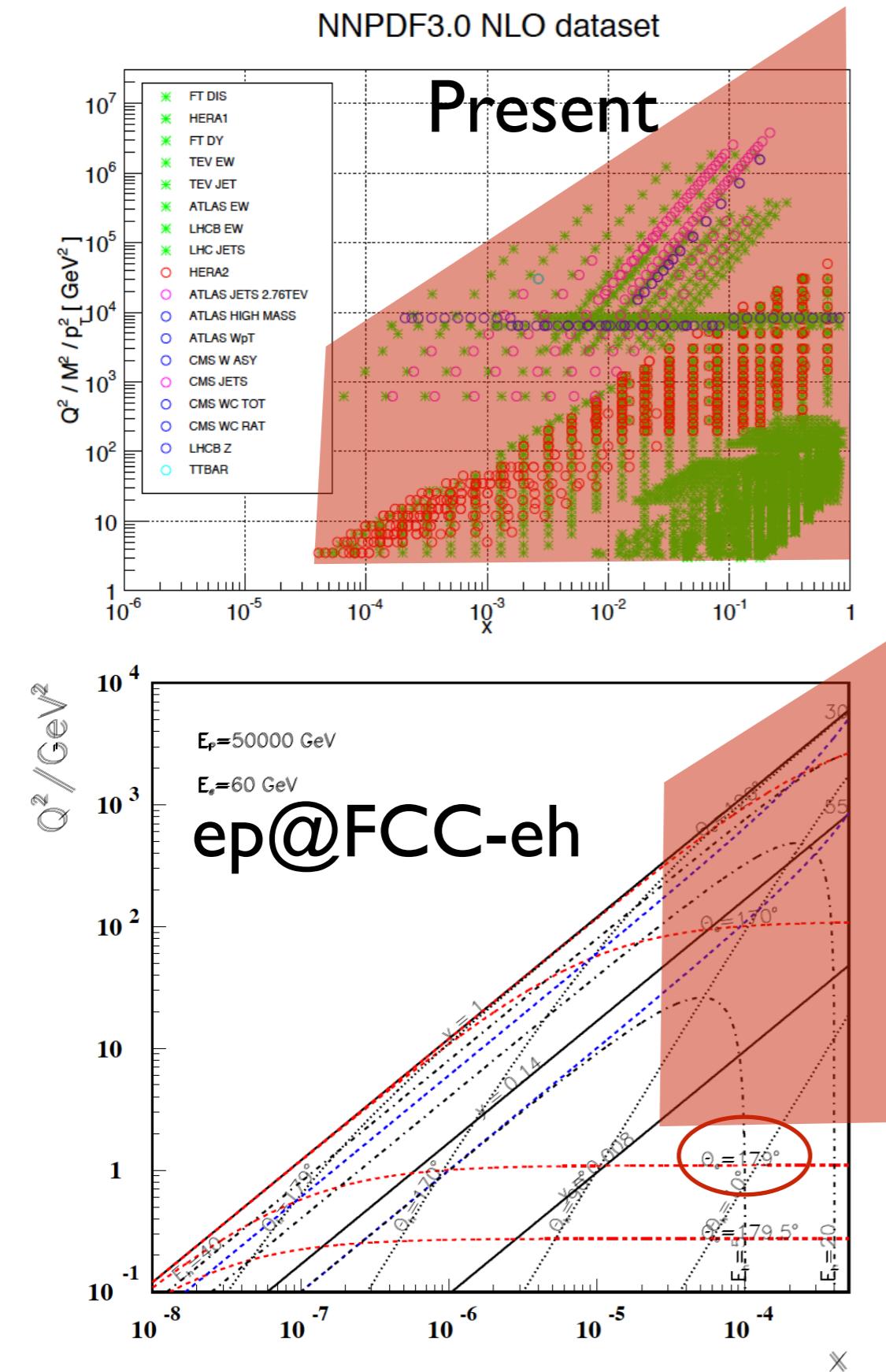
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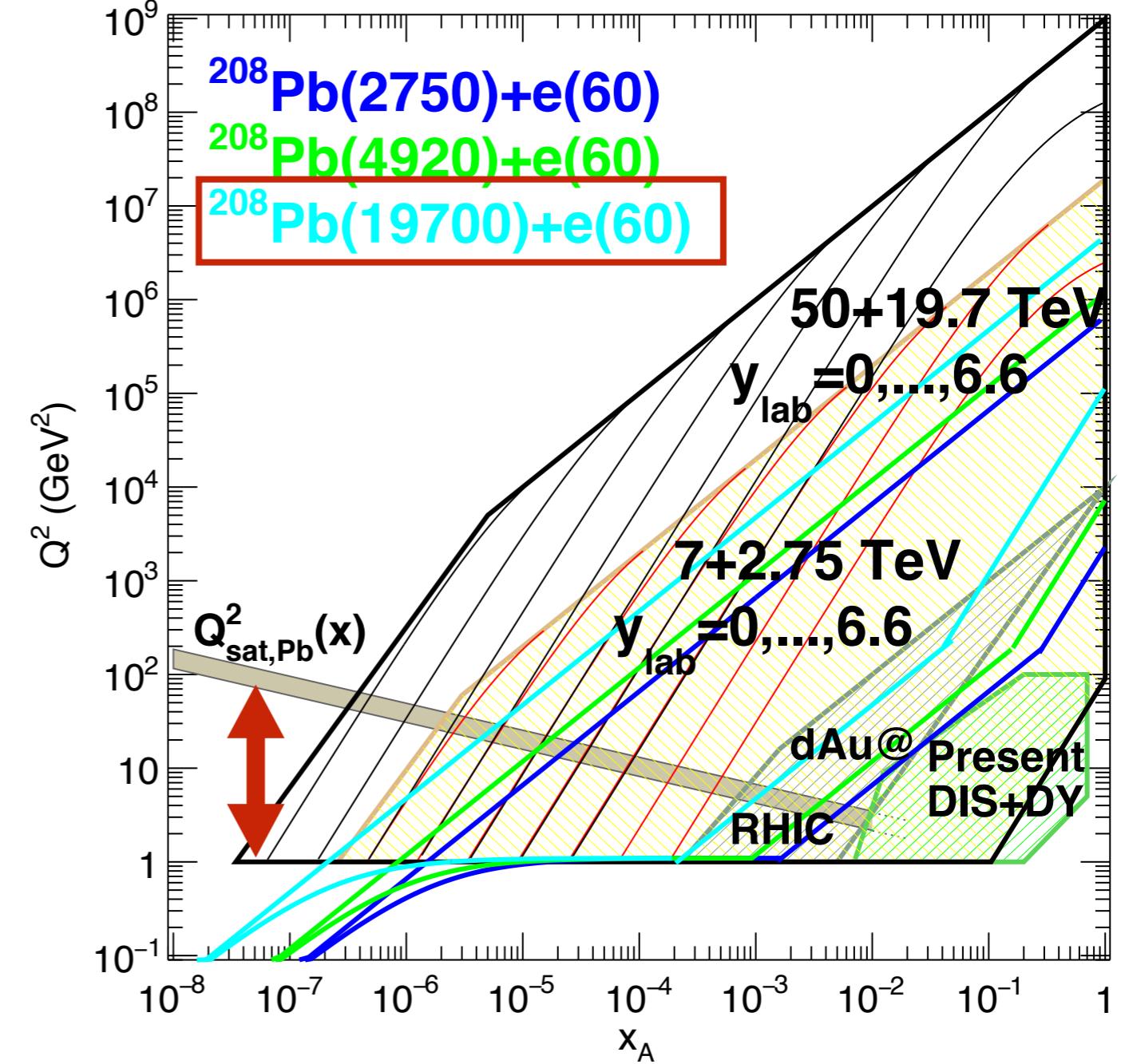
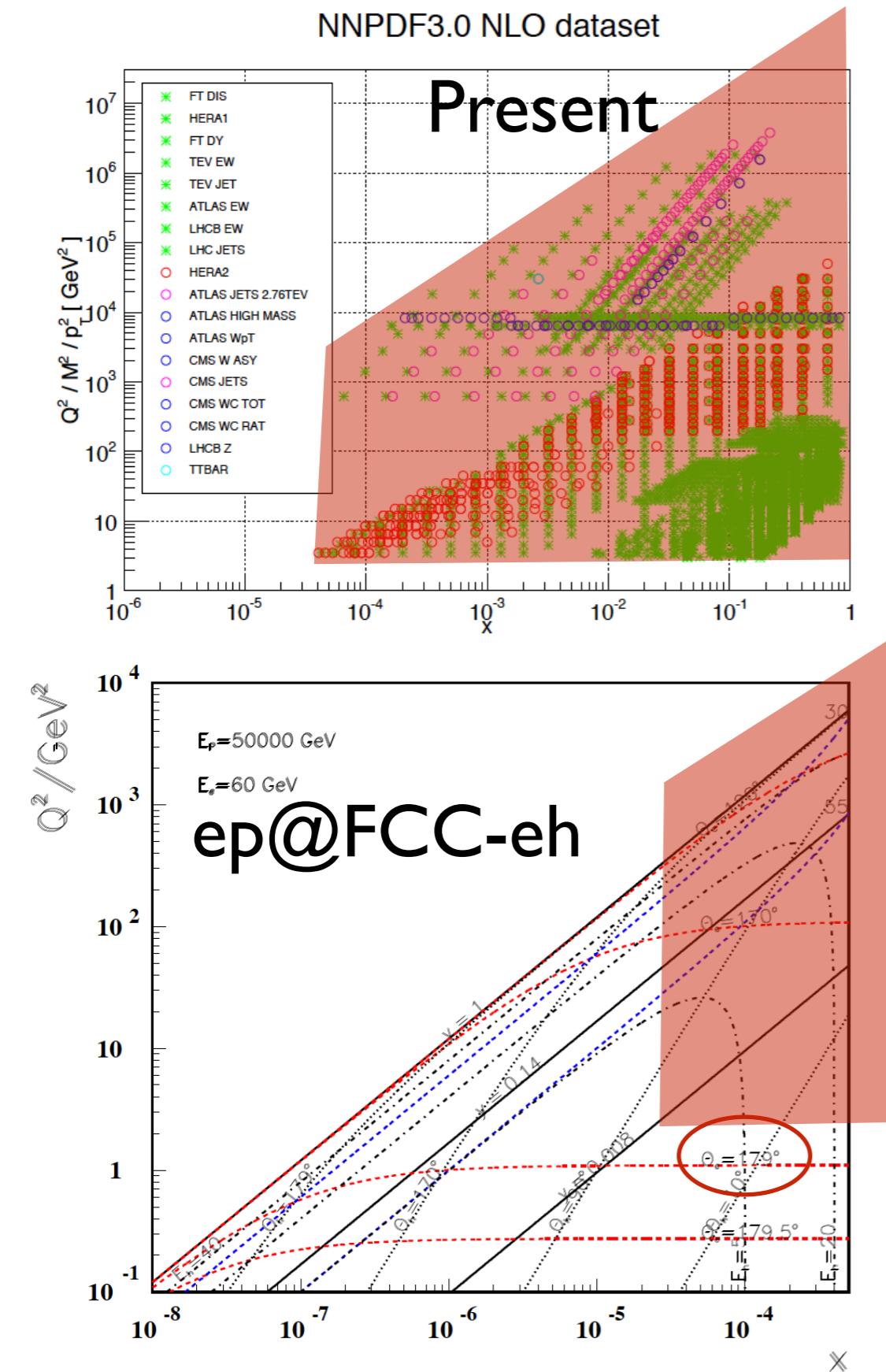
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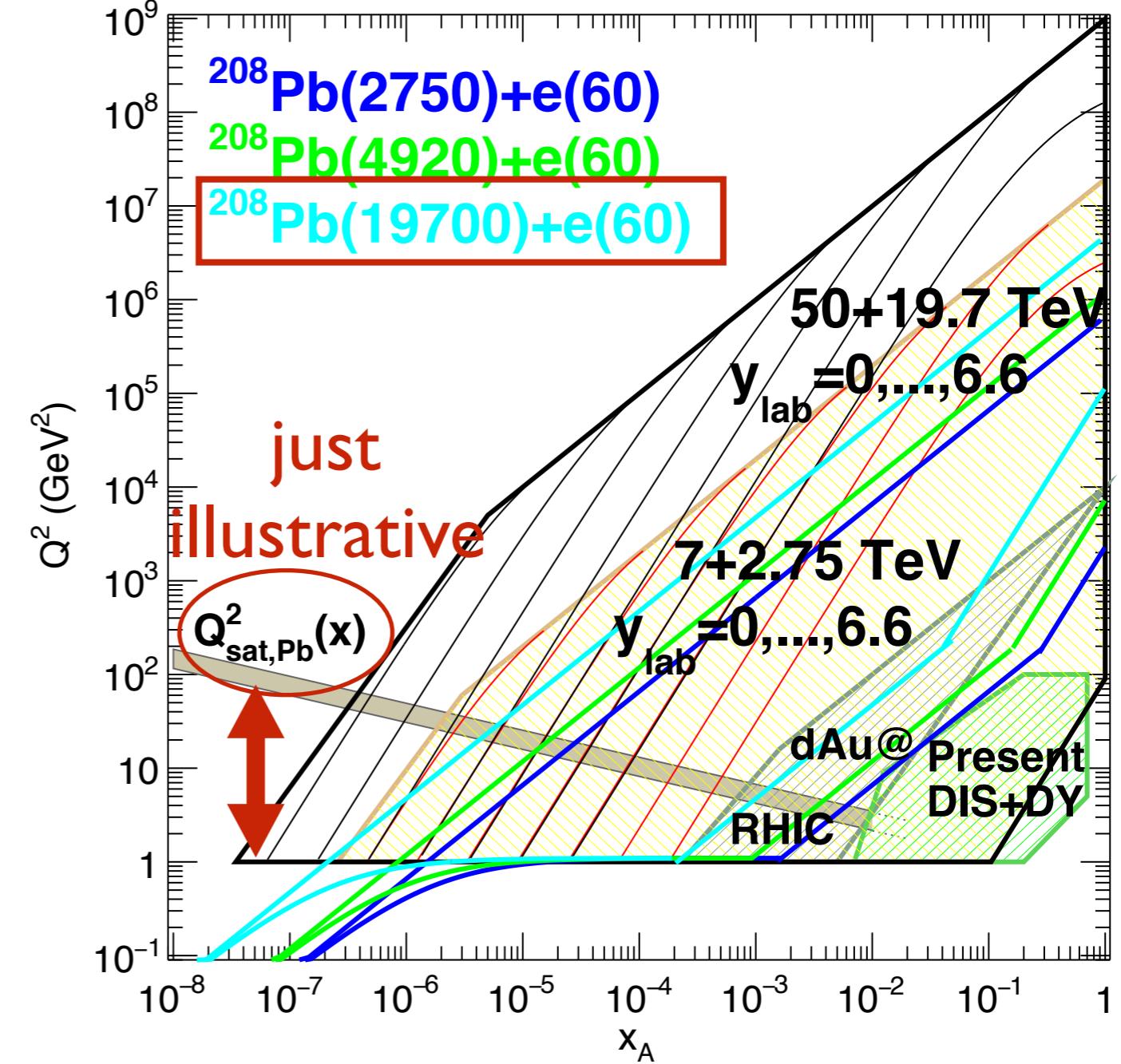
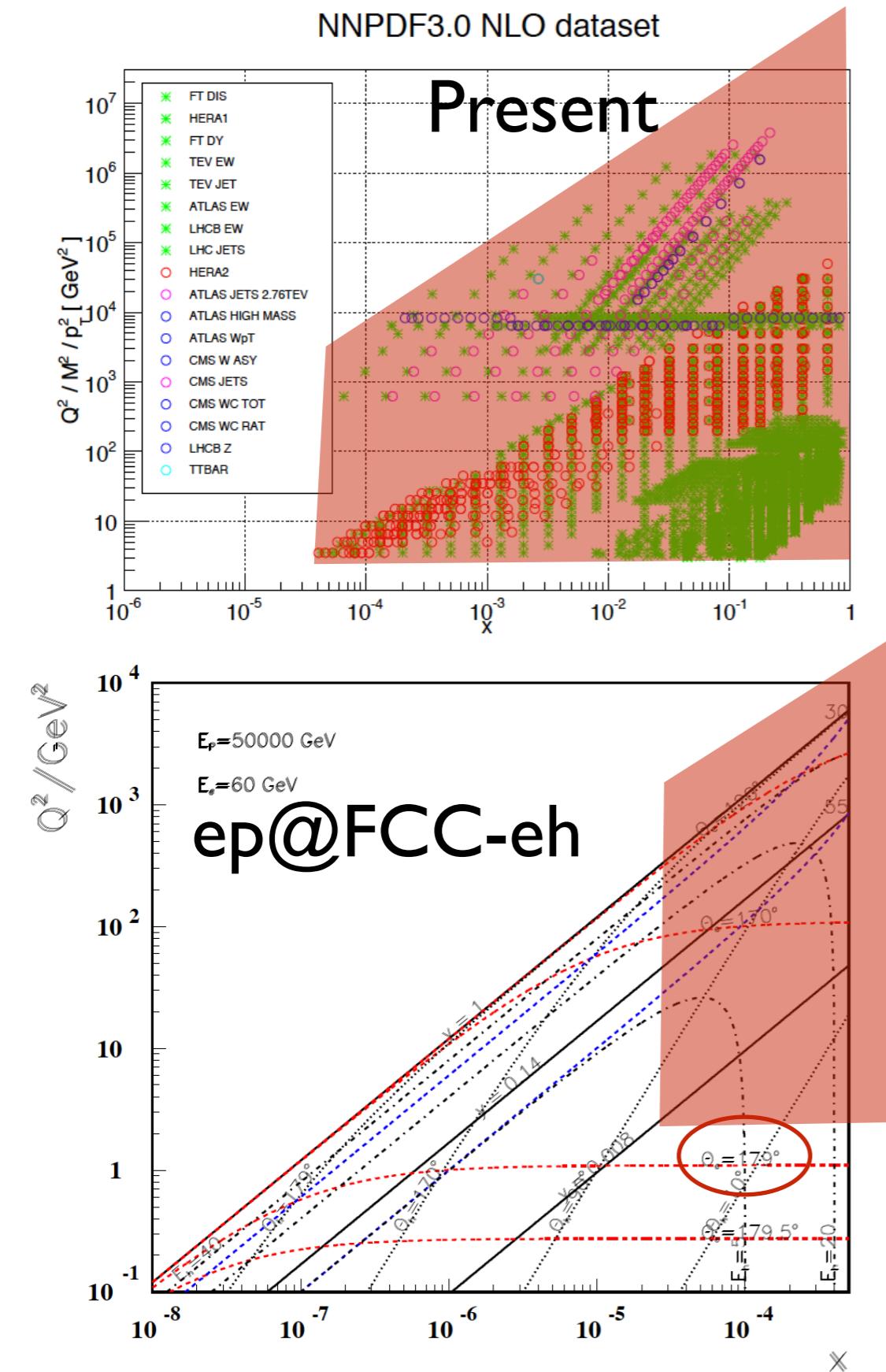
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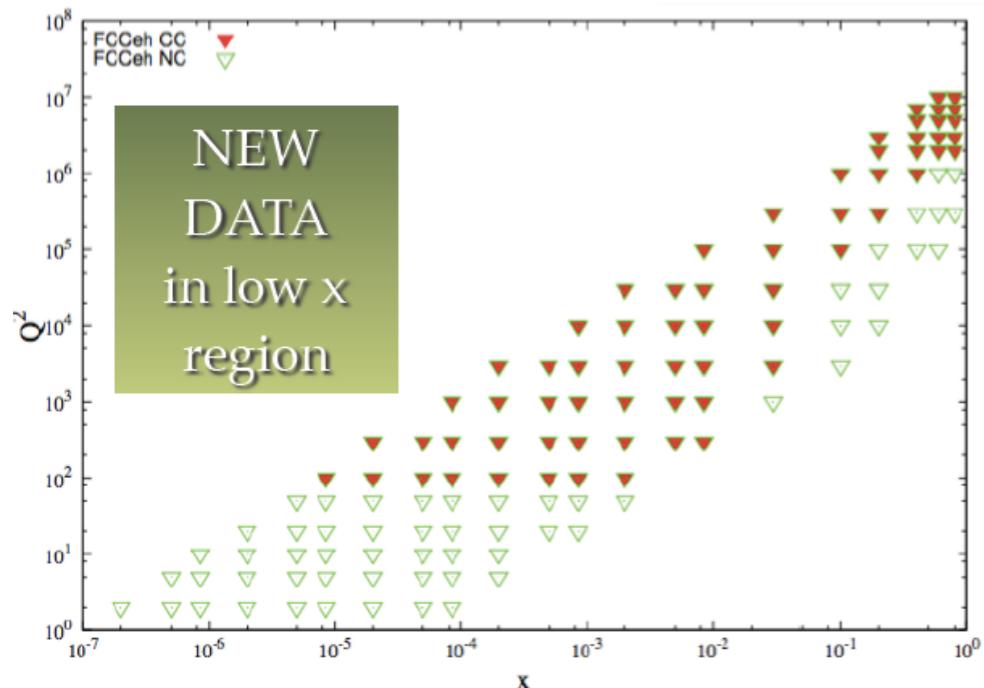
I. Introduction.

2. Determining the small- x PDFs (collinear factorisation checks):

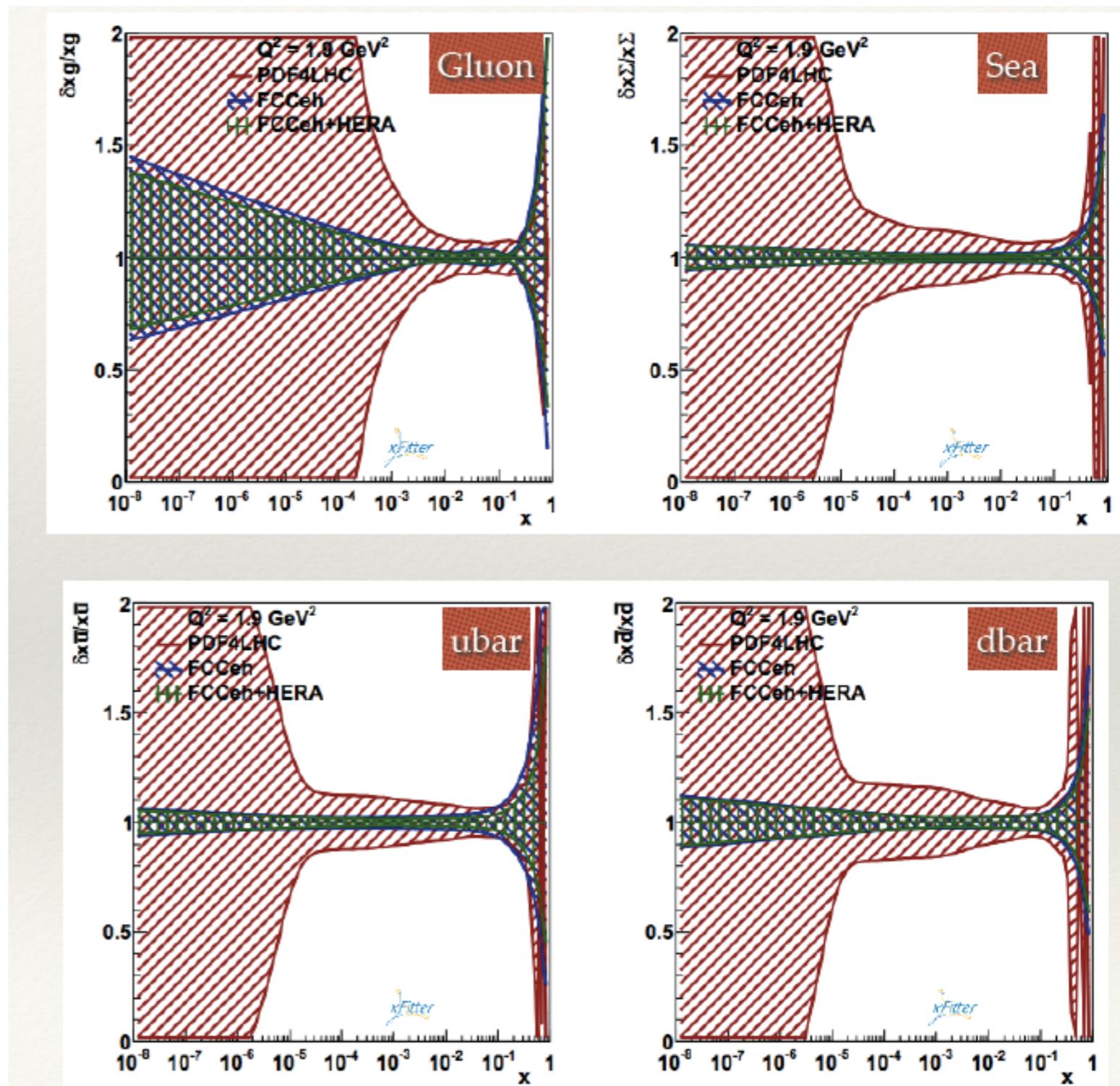
- eA.
- pA.
- Diffractive PDFs.

3. Searching for physics beyond DGLAP.

4. Summary.



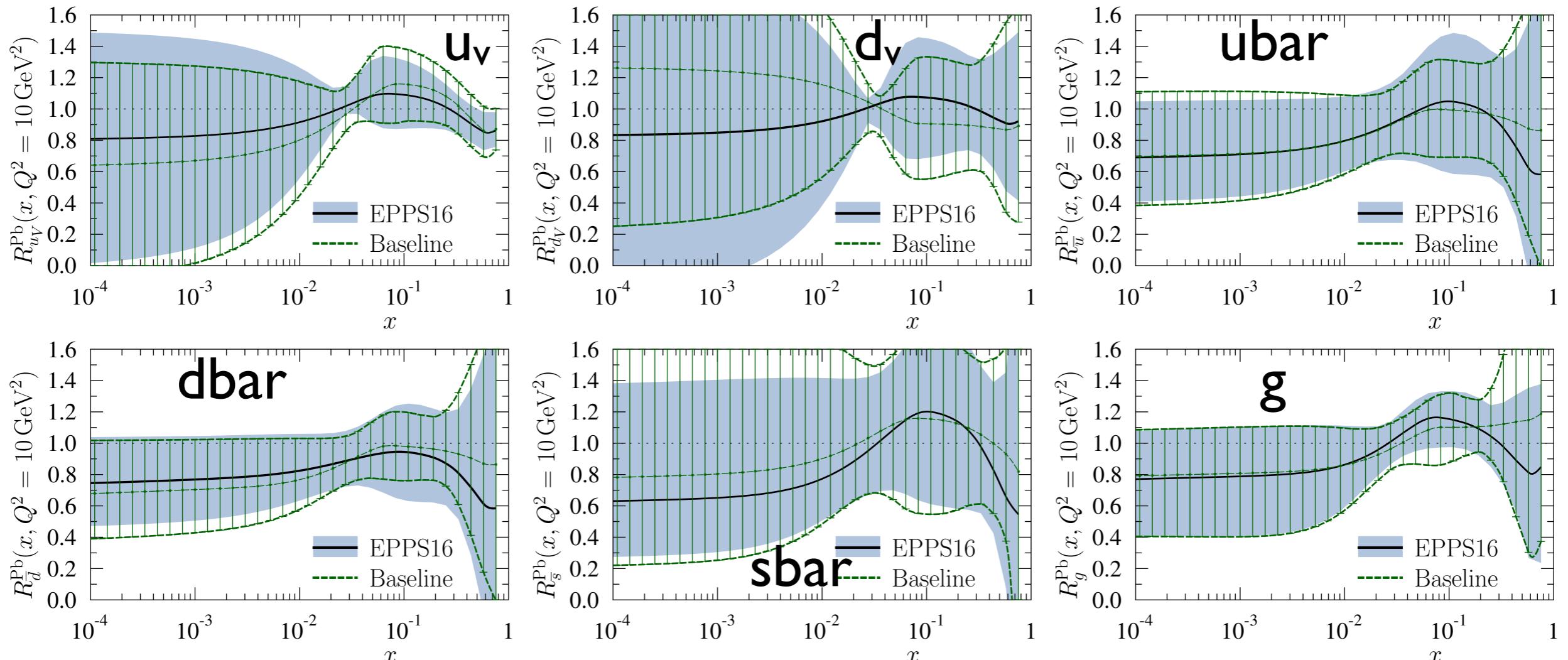
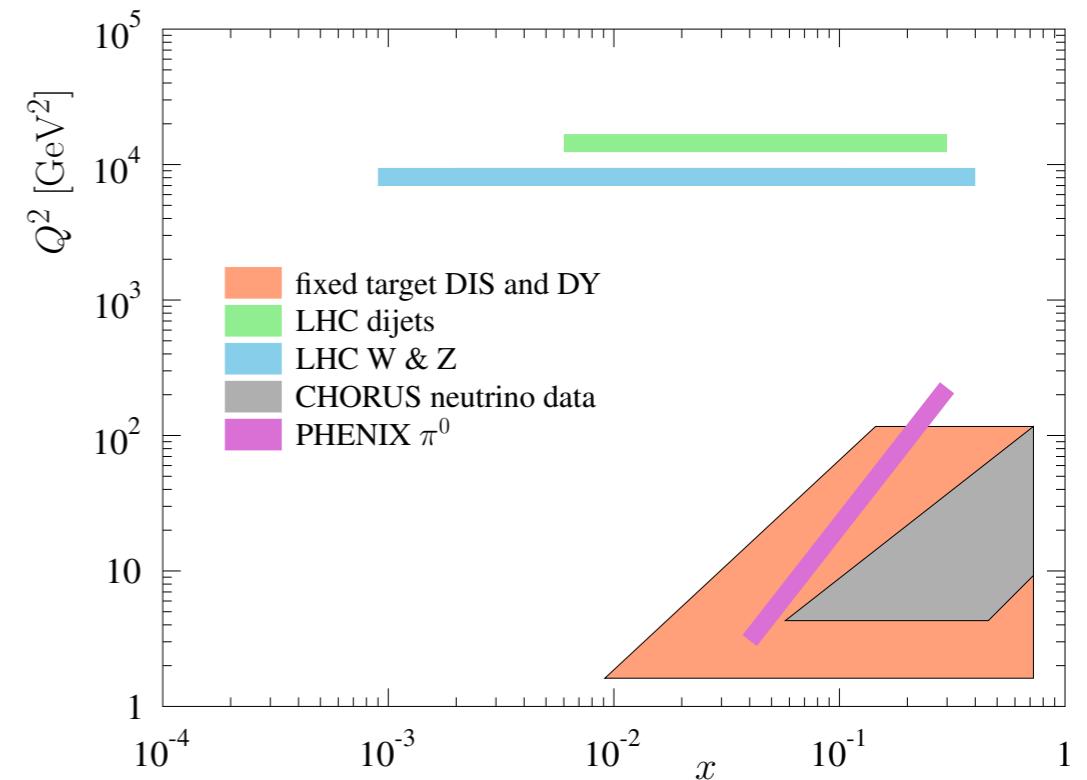
- Large improvements at small x (xFitter analysis).



eA (I):

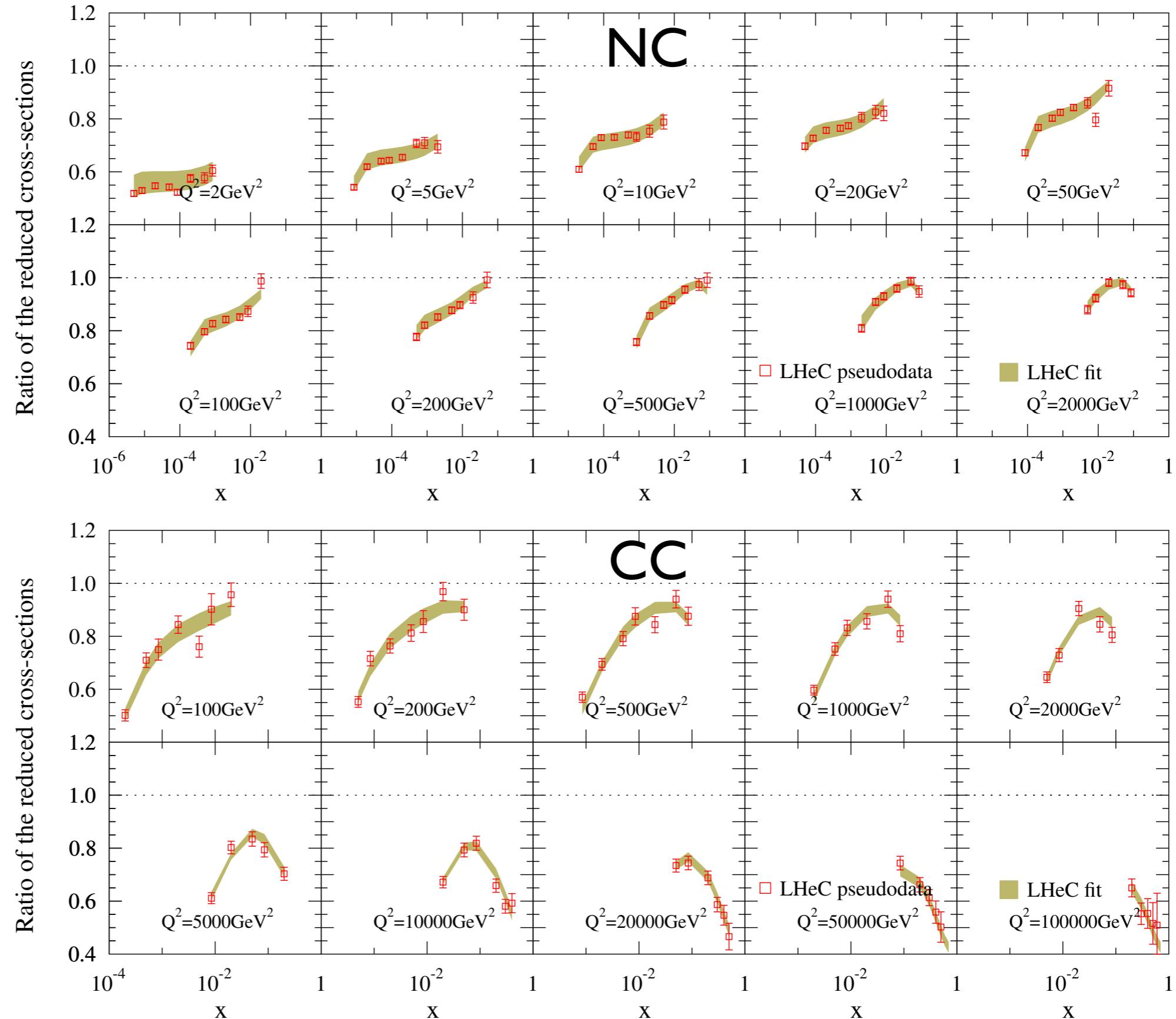
- New setup EPPS16 [1612.05741] including baseline (fixed target DIS, DY, RHIC) plus neutrino and LHC (dijet, W, Z) pPb data. More flexible parametrisation, GM-VFNS, $R_u \neq R_d$.

$$f_i^{p/A}(x, Q^2) = [R_i^A(x, Q^2)] f_i^p(x, Q^2)$$



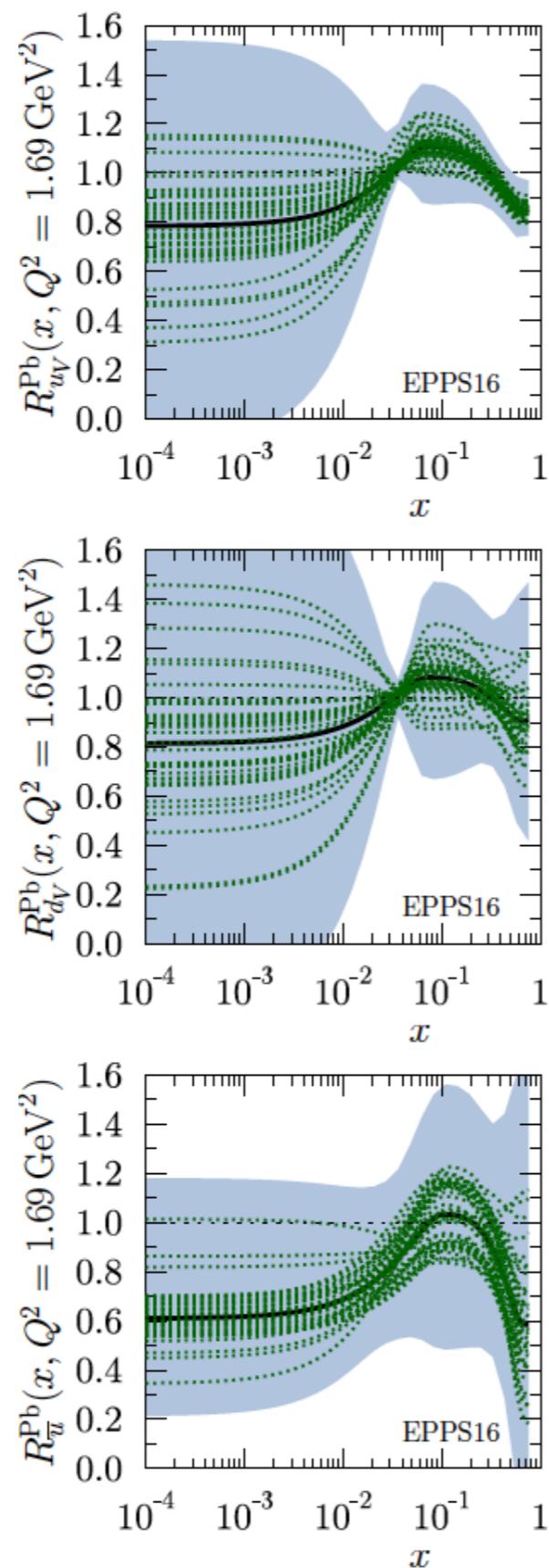
eA (II):

- Including eA (60+2760) NC and CC pseudodata reduces the uncertainties (notably on g), but u,d decomposition difficult (factor 2Z/A-I).
- [Paukkunen]

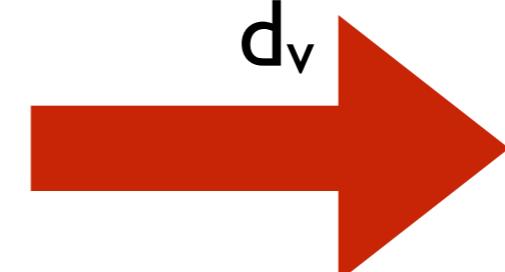


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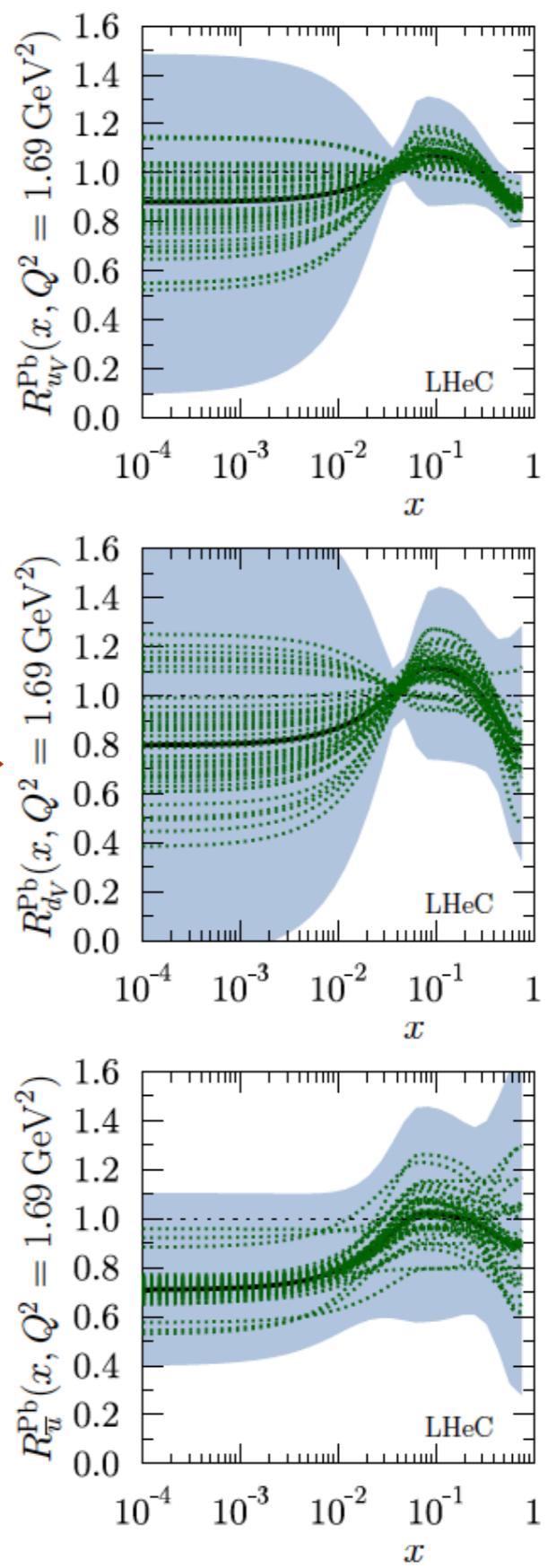
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u_v

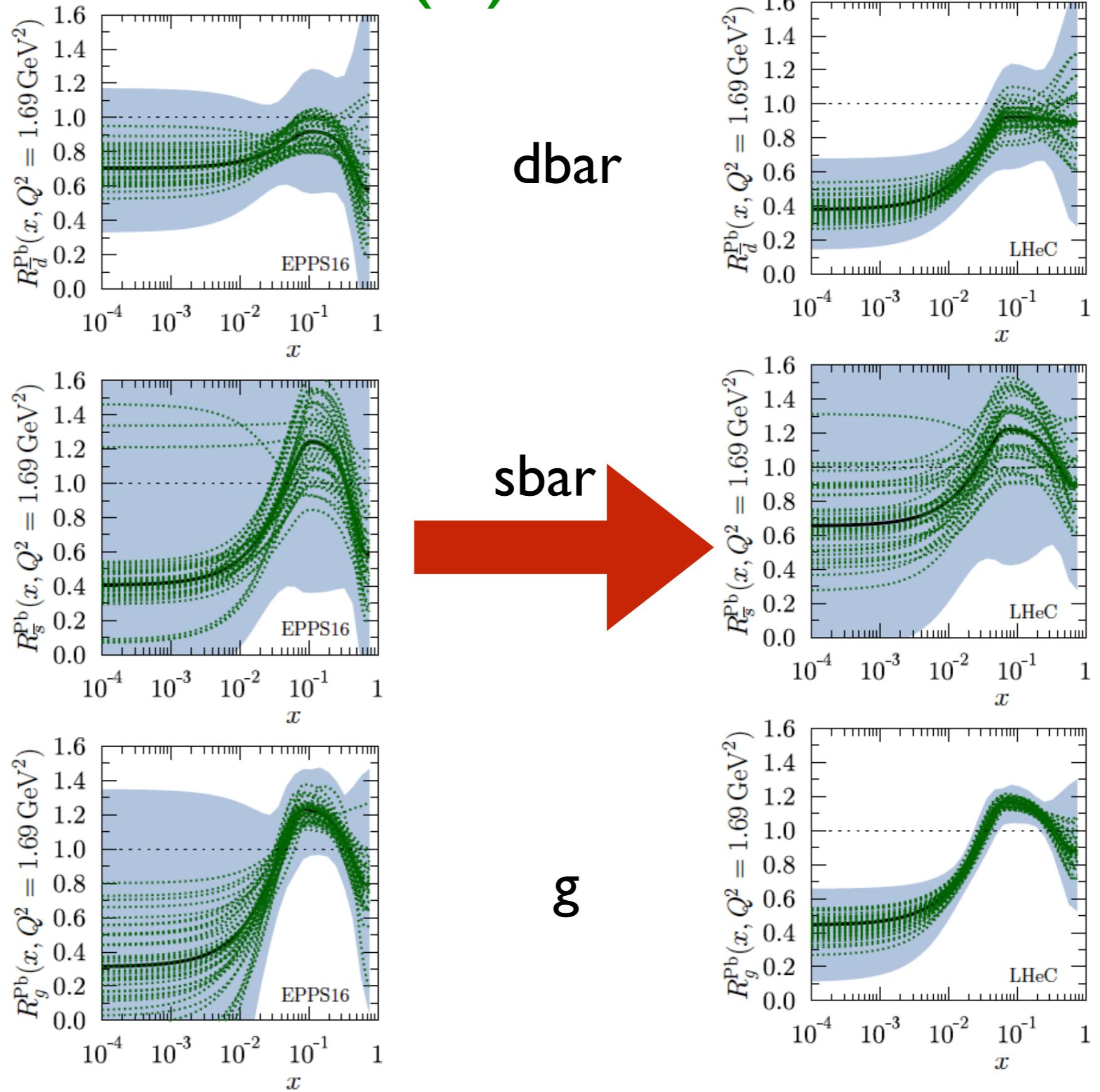


d_v



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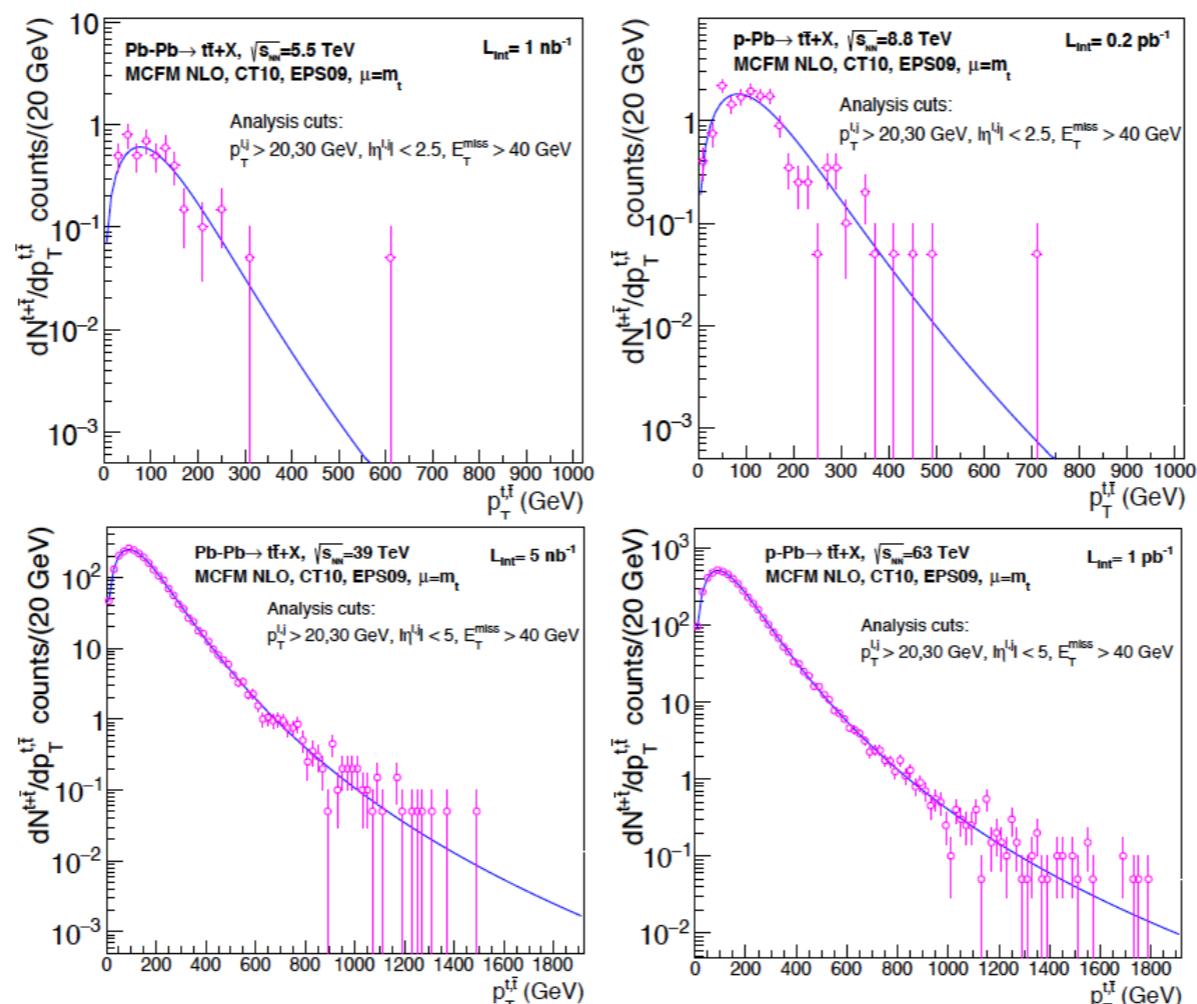


pA:

- Tops could be used to constrain the nuclear glue as done now in pp collisions at the LHC. d'Enterria, Krajczac, Paukkunen, 1501.05879, Hessian reweighting

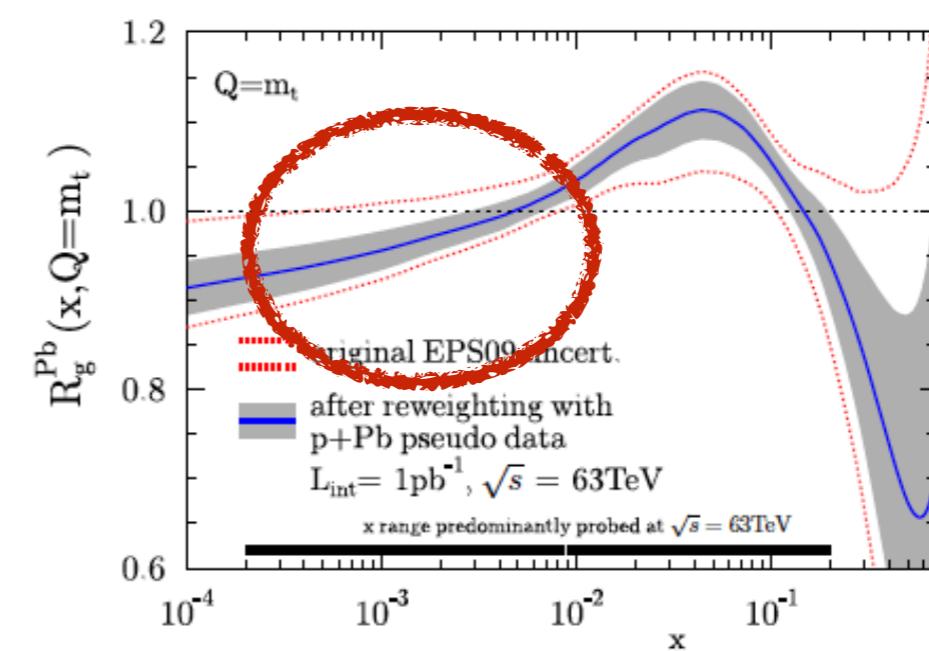
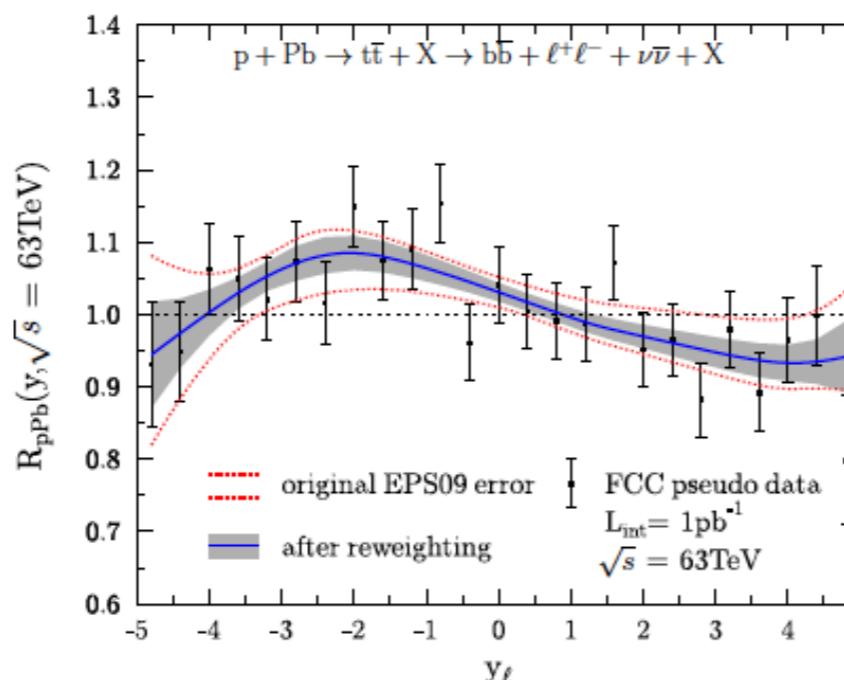
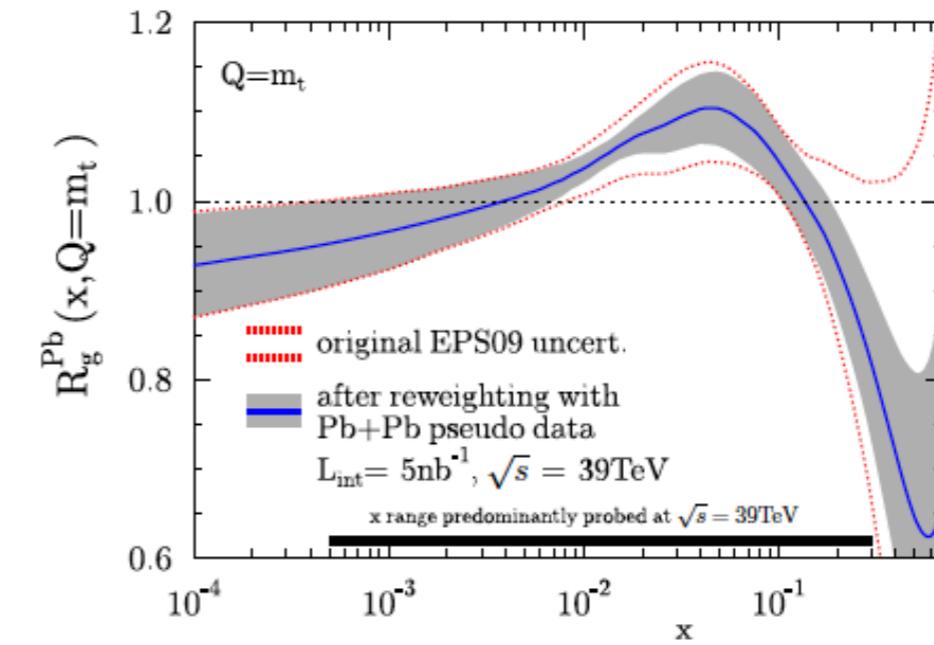
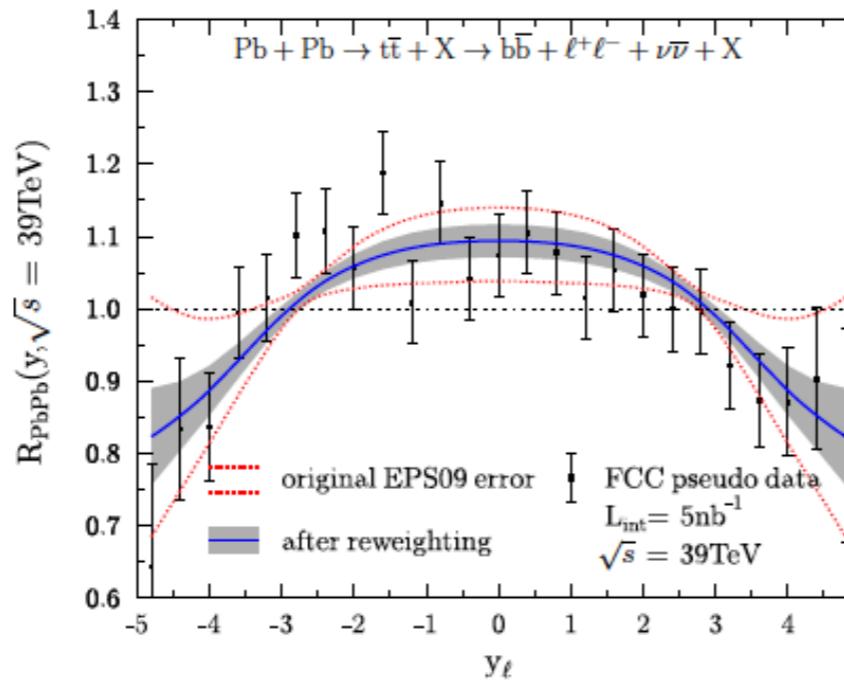
Modest
 \mathcal{L}_{int} ,
ATLAS-like
cuts.

System	\sqrt{s}	\mathcal{L}_{int}	Number of top+antitop quarks $t\bar{t} \rightarrow b\bar{b}\ell\ell\nu\nu$	Number of top+antitop quarks $tW \rightarrow b\ell\ell\nu\nu$
Pb-Pb	5.5 TeV	1 nb $^{-1}$	90	3
	8.8 TeV	0.2 pb $^{-1}$	300	10
	39. TeV	5 nb $^{-1}$	47 000	1 300
	63. TeV	1 pb $^{-1}$	100 000	2 600



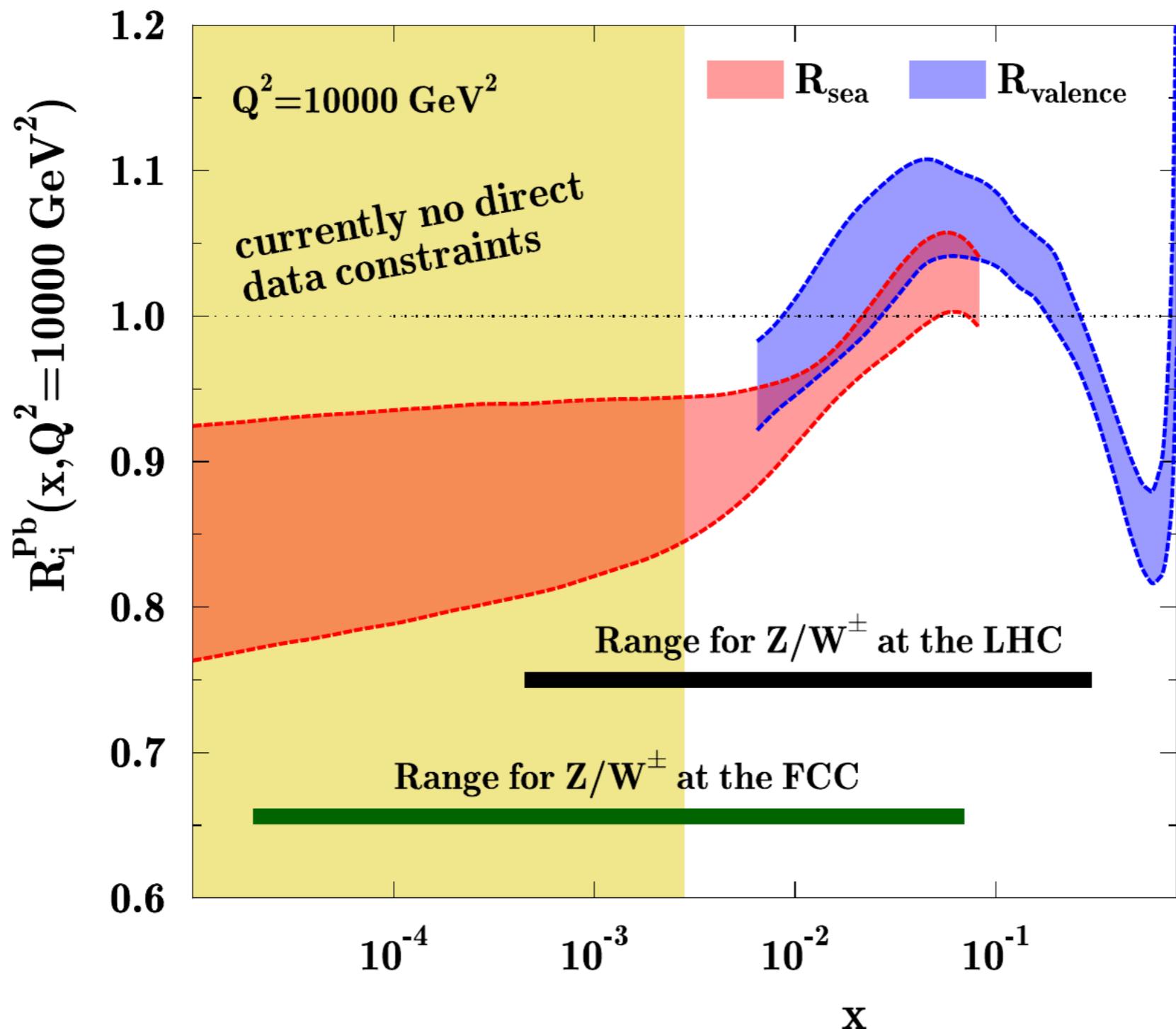
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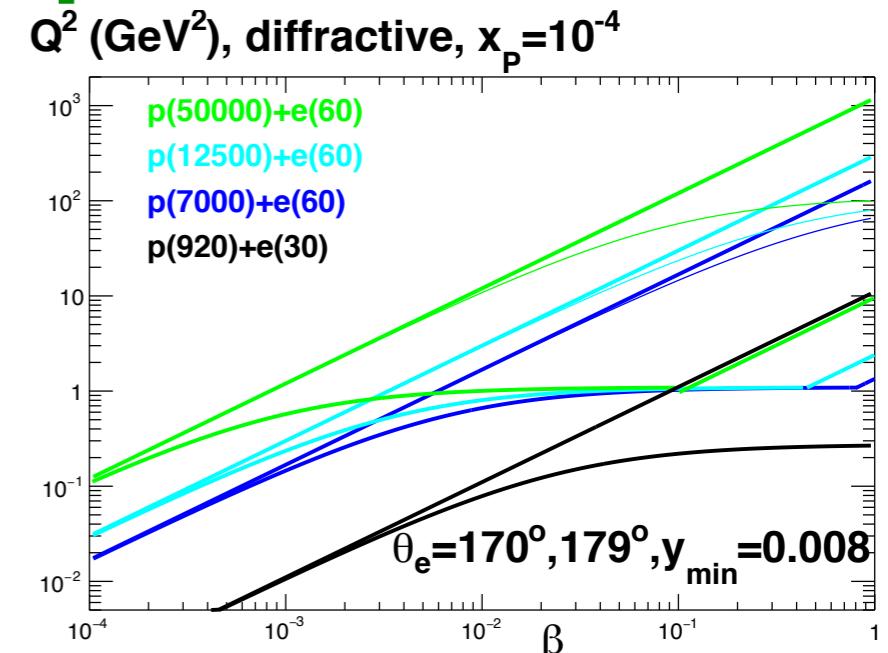
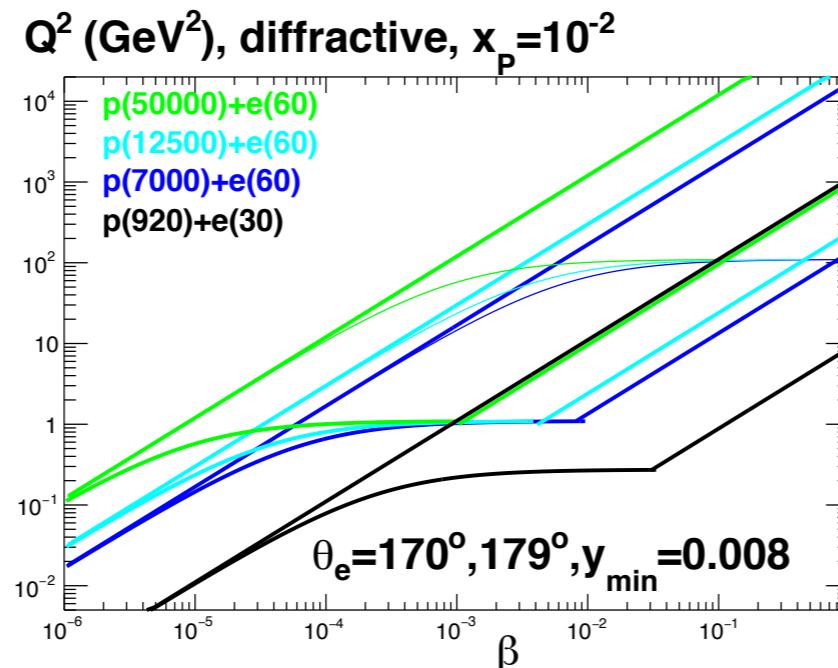
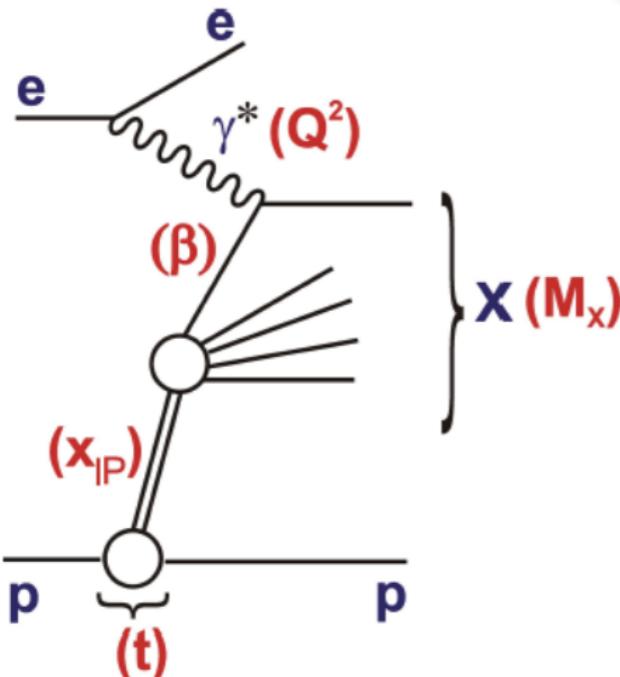


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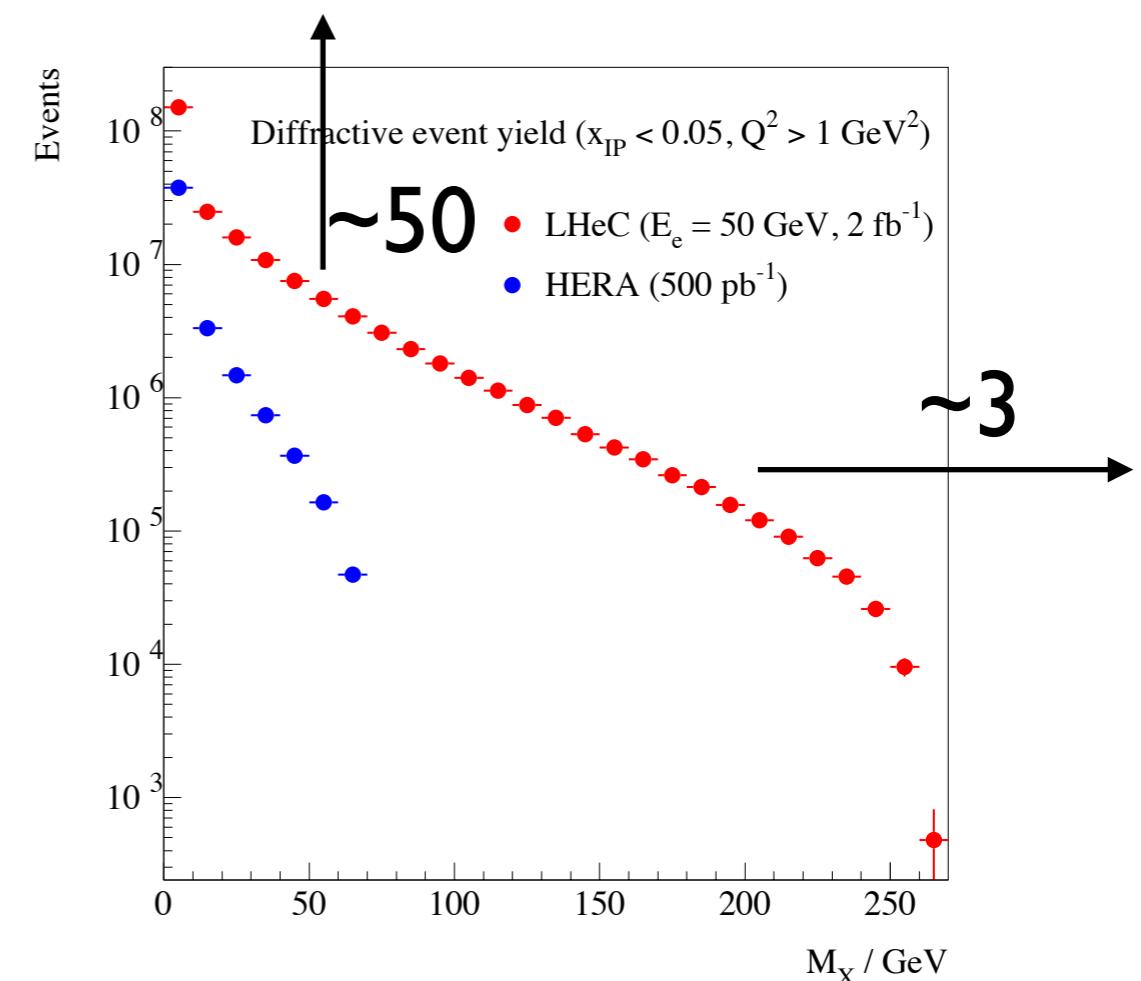
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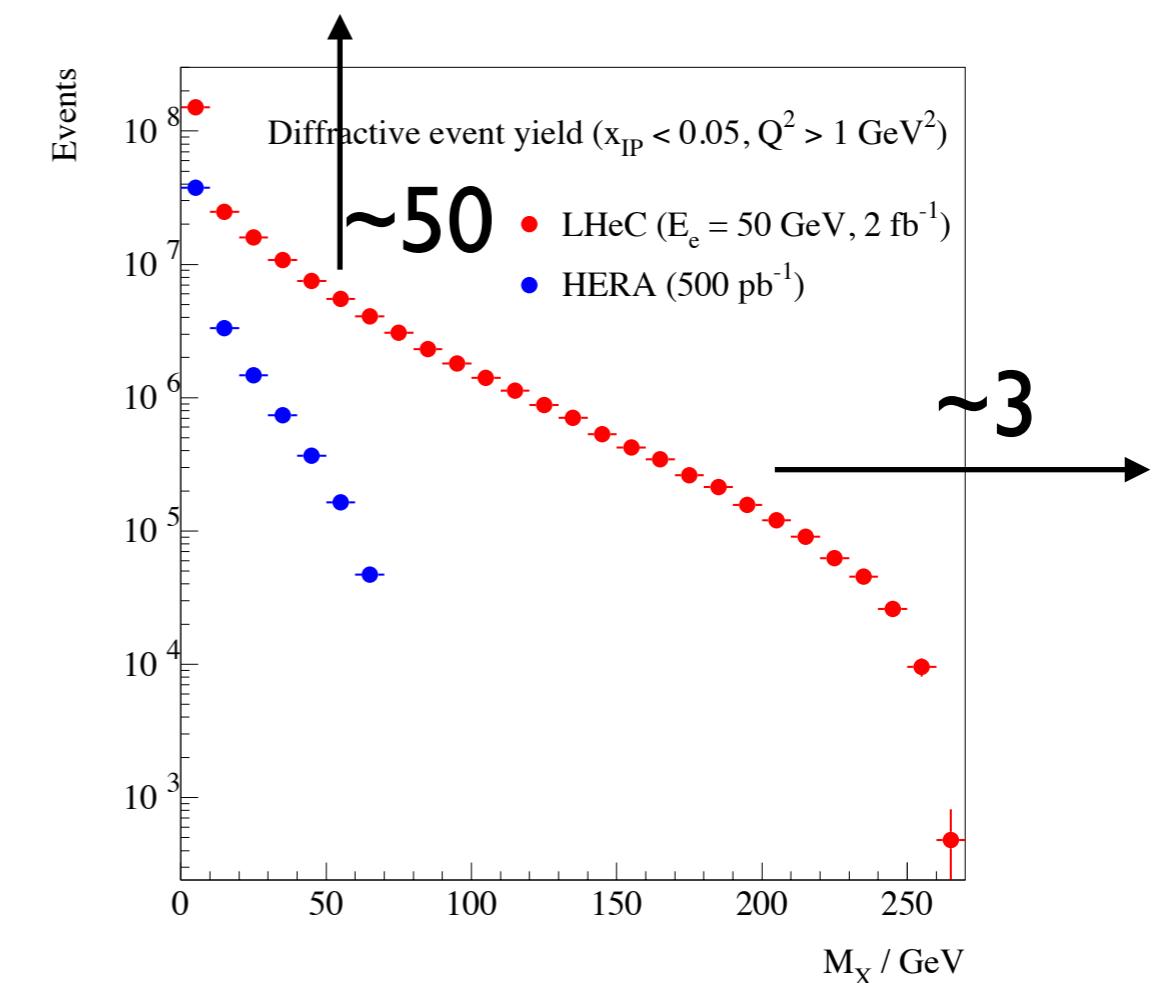
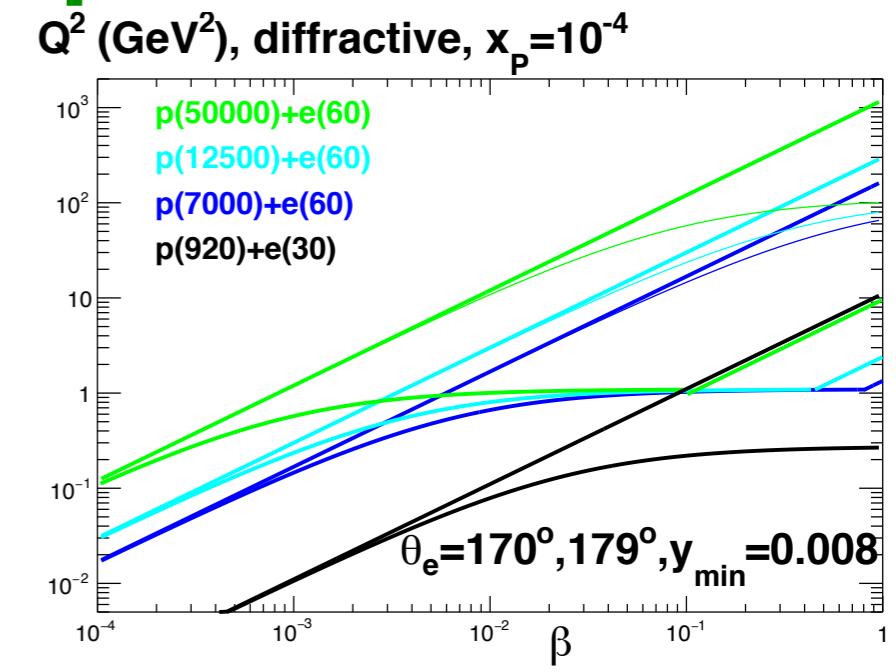
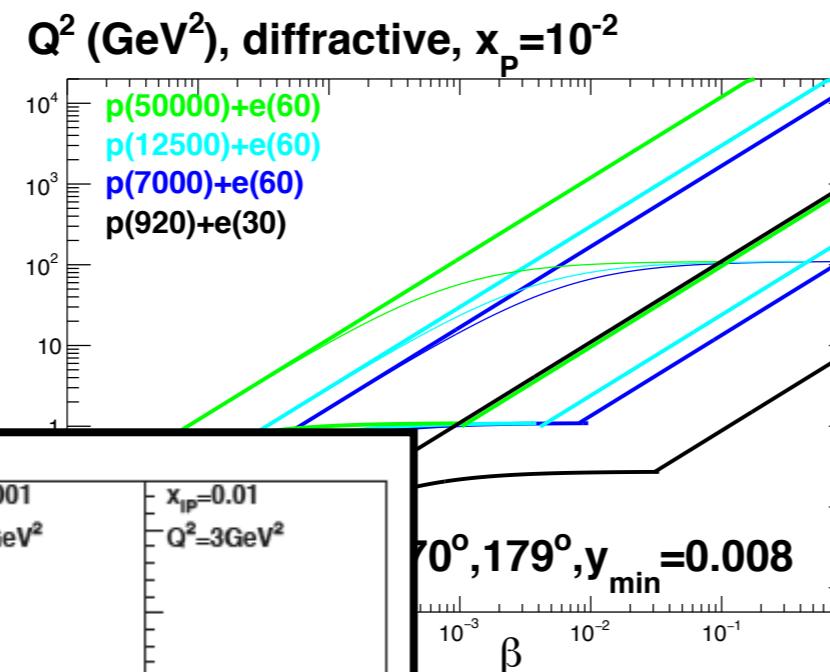
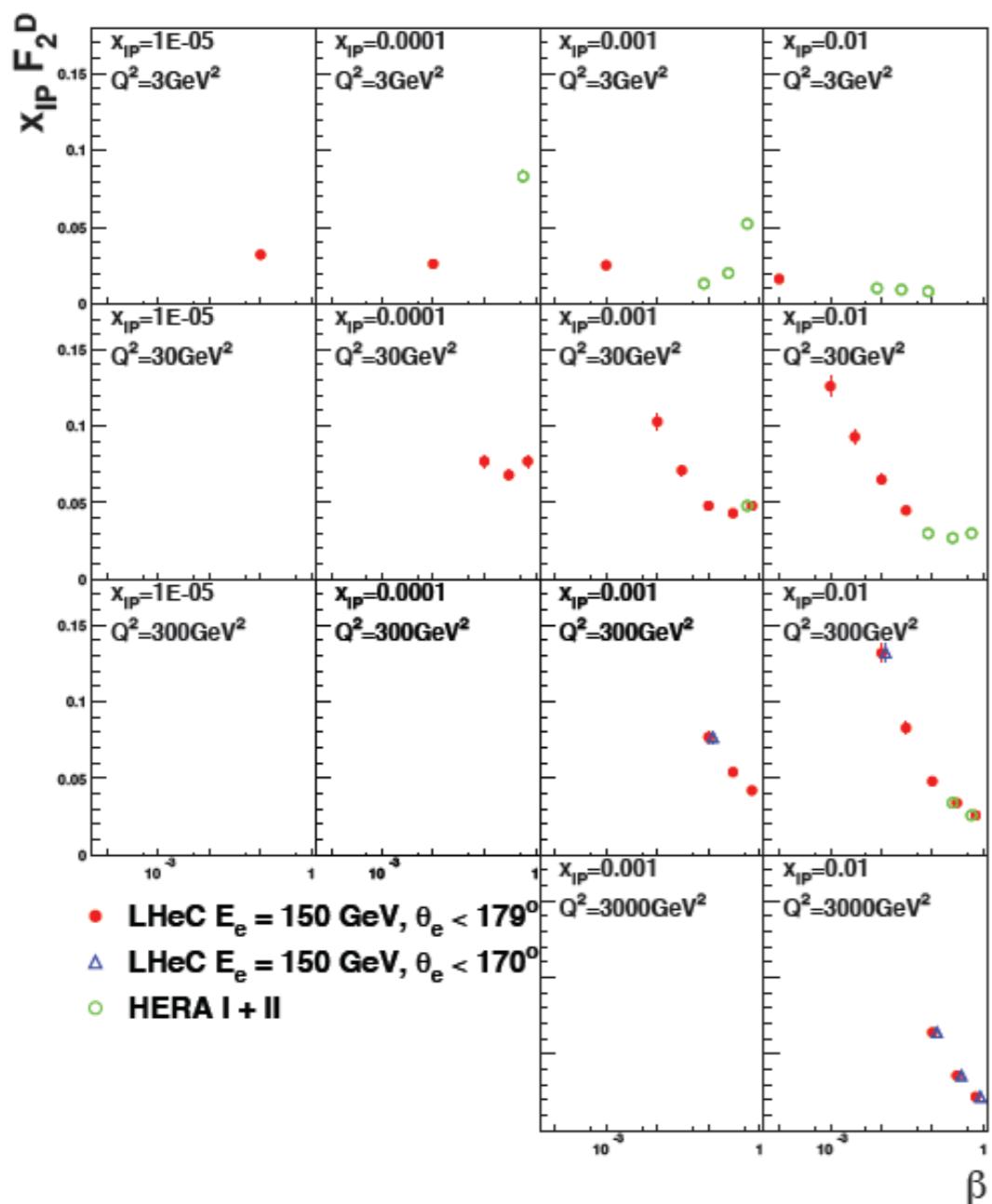
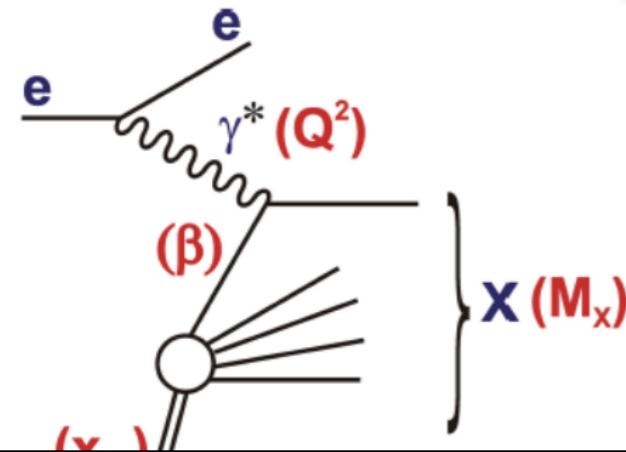
Diffraction in ep:



- Large increase in the M^2 (diffractive heavy states up to $\sim 0.5 \text{ TeV}$), $x_p = (M^2 - t + Q^2)/(W^2 + Q^2)$, $\beta = x/x_p$ region studied.
- Possible to combine rapidity gap and p tagging.
- Precise determination of DPDFs.

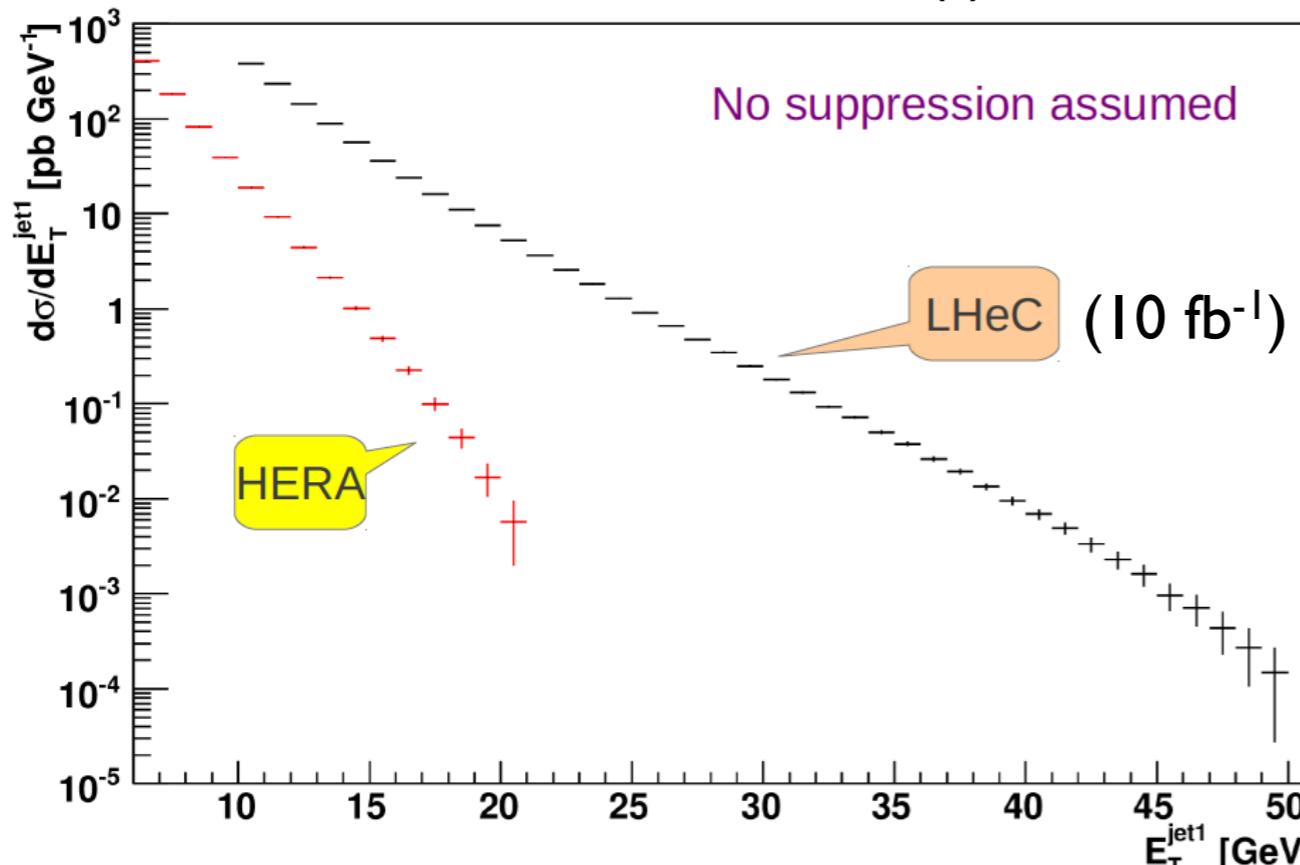
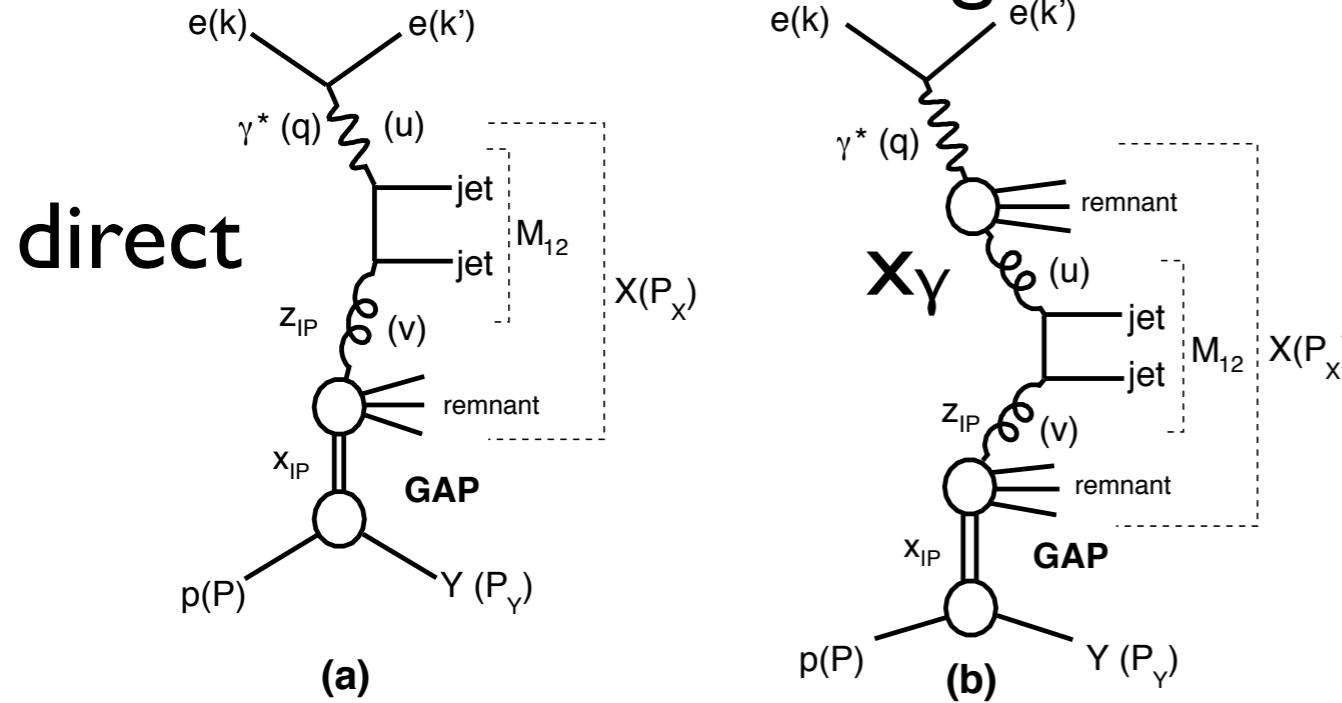


Diffraction in ep:



Diffractive dijets in ep: resolved:

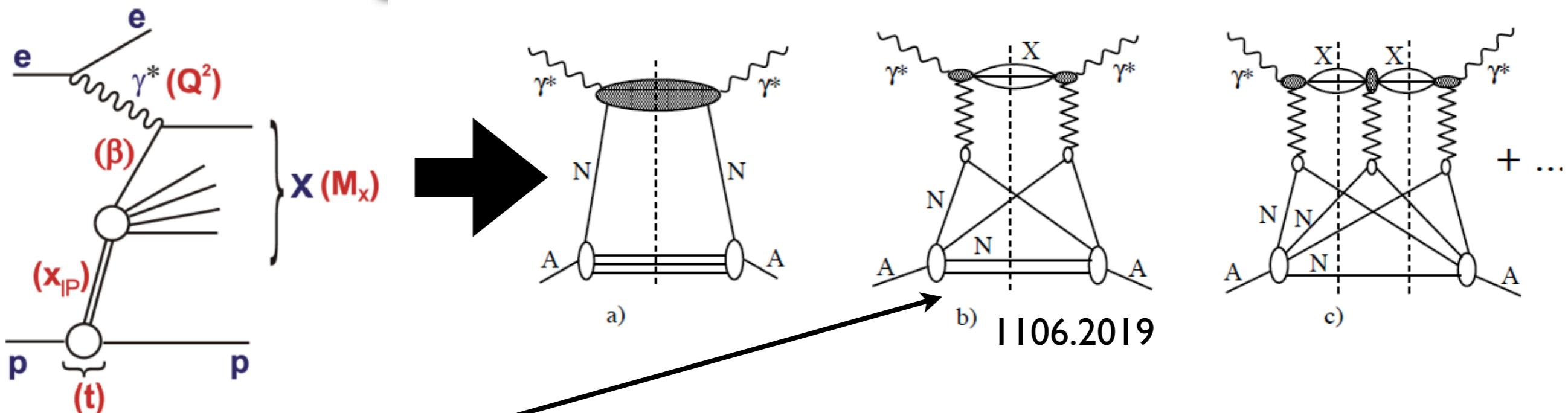
rescattering at low x_γ ?



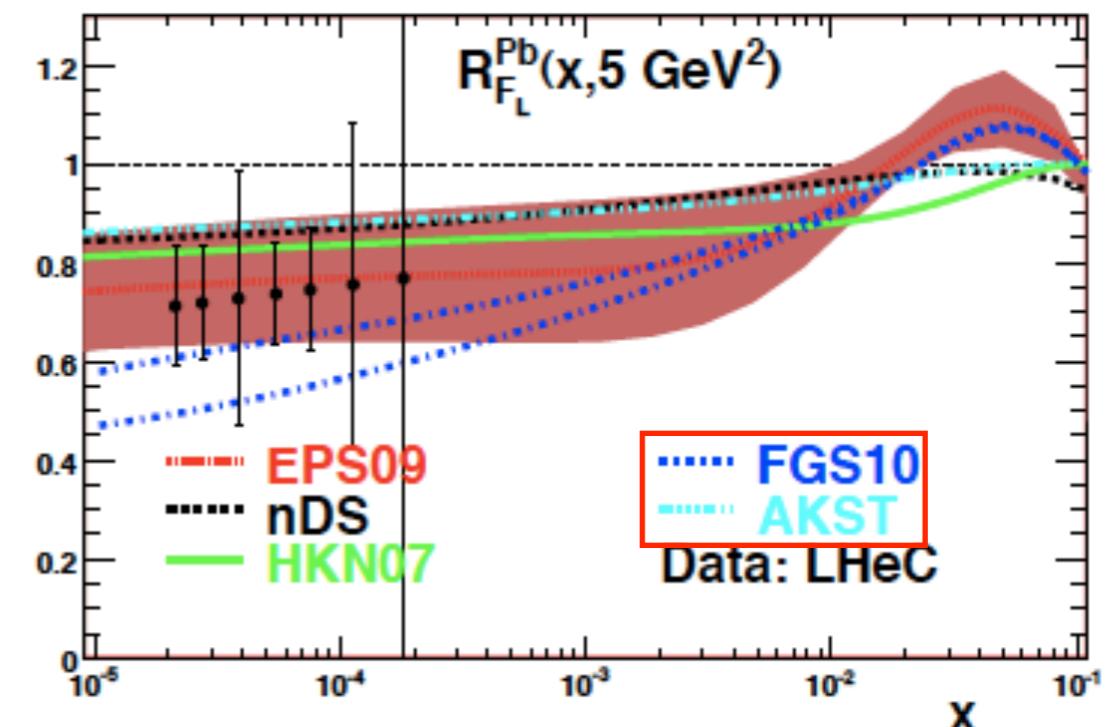
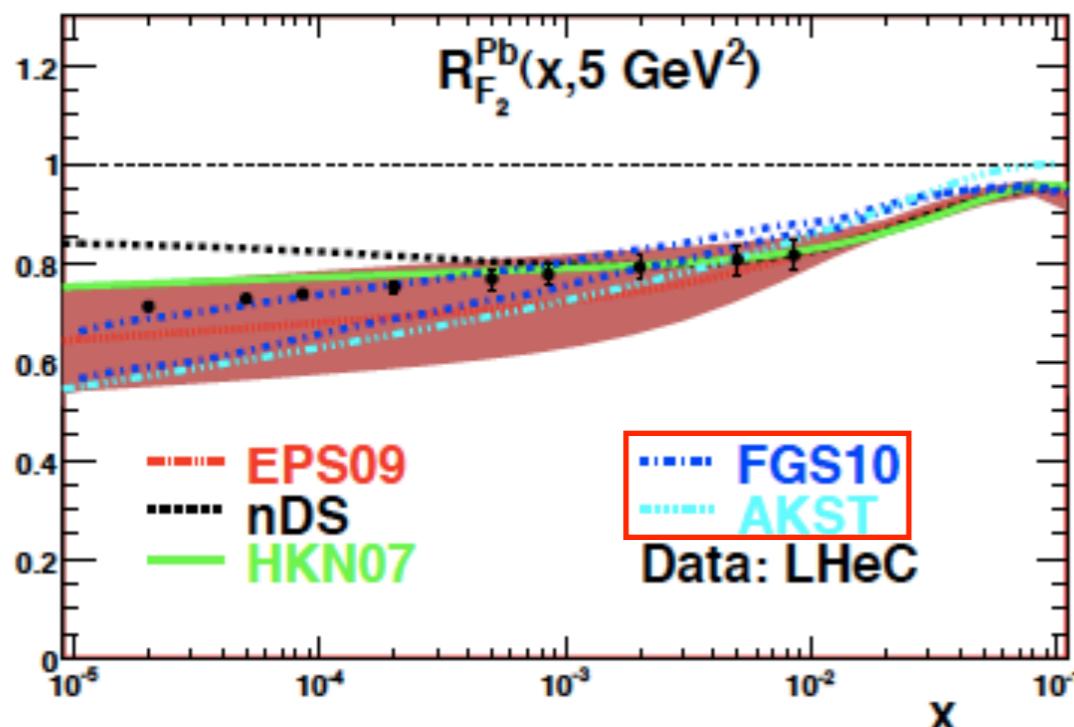
- Diffractive dijet and open heavy flavour production offer large possibilities for:
 - Checking factorization in hard diffraction.
 - Constraining DPDFs.

- Large yields up to large p_T^{jet} .
- Direct and resolved contributions: photon PDFs.

Diffractive in ep and shadowing:



- Diffractive in ep is linked to nuclear shadowing through basic QFT (Gribov): eD to test and set the ‘benchmark’ for new effects.



Contents:

I. Introduction.

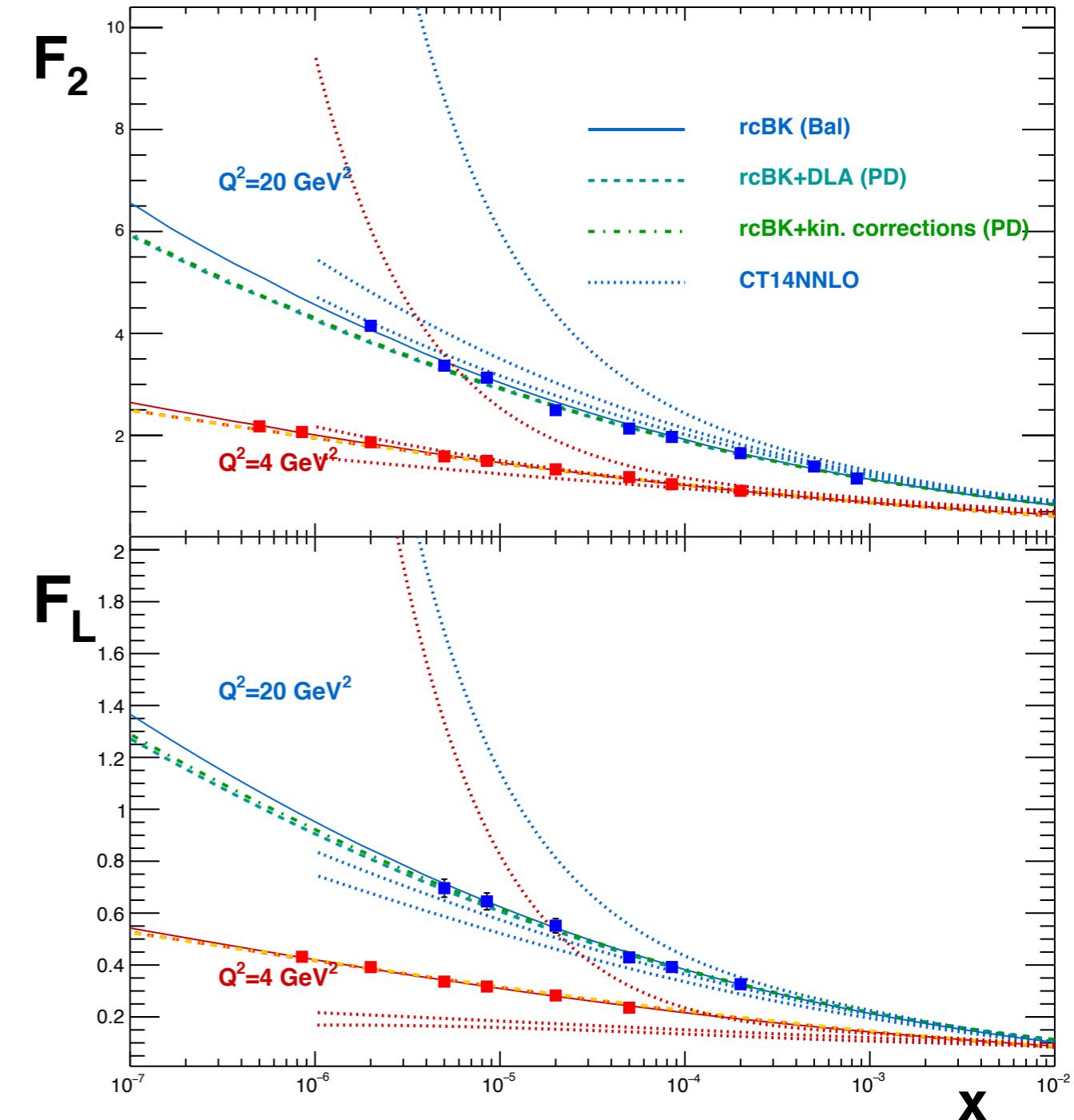
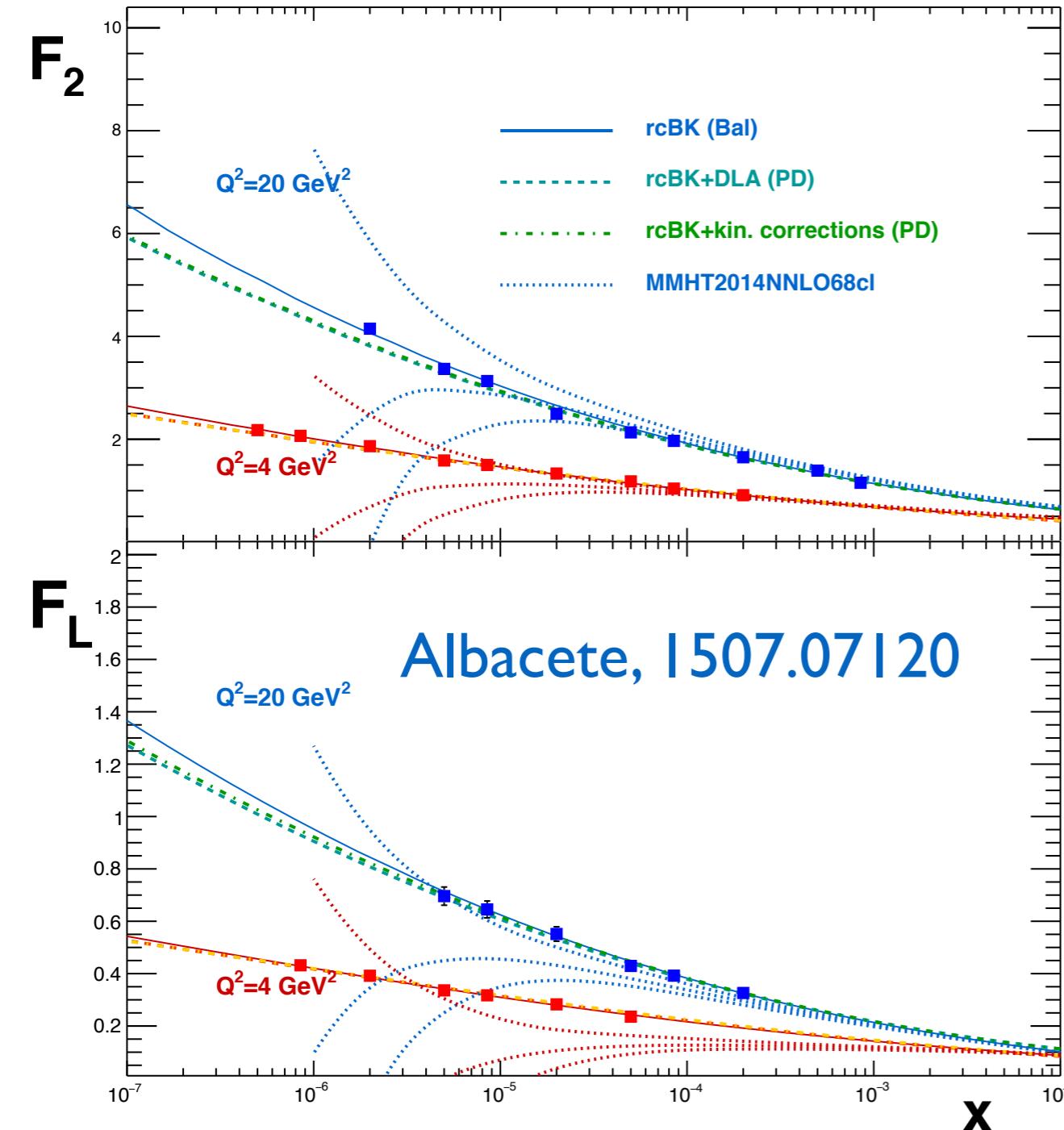
2. Determining the small-x PDFs.

3. Searching for physics beyond DGLAP:

- Inclusive observables.
- Diffraction.
- Particle production and correlations.

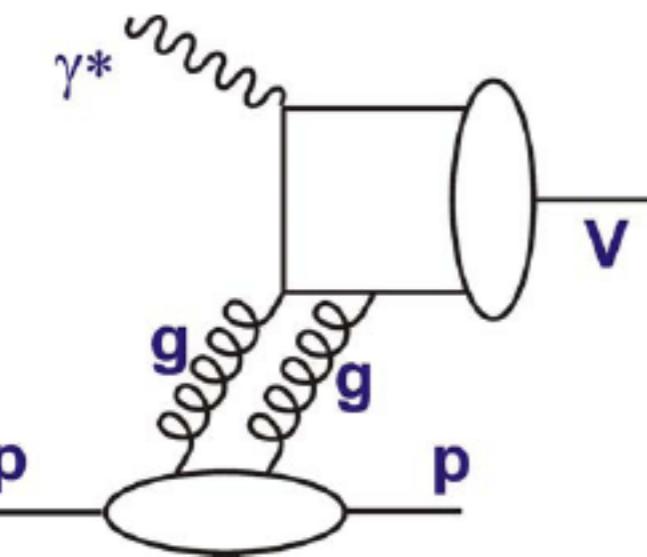
4. Summary.

Structure functions:

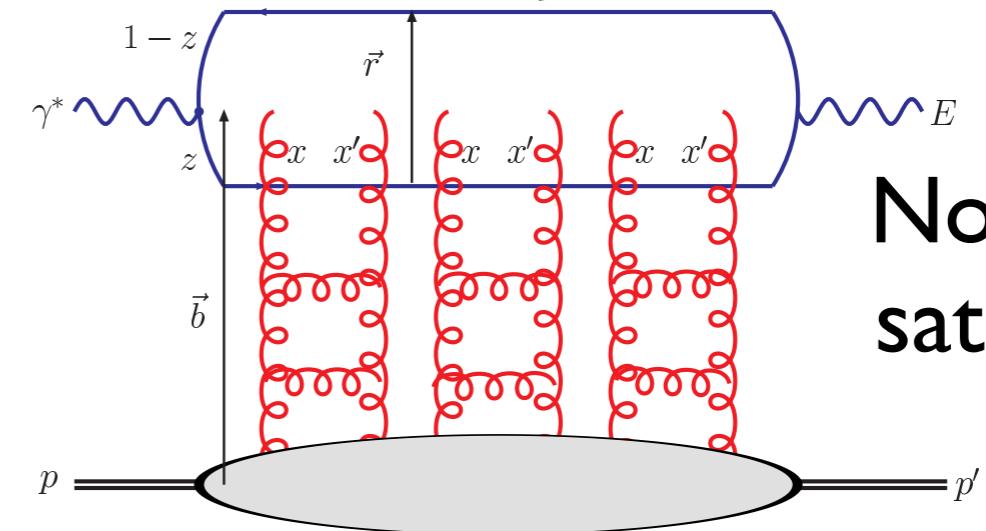
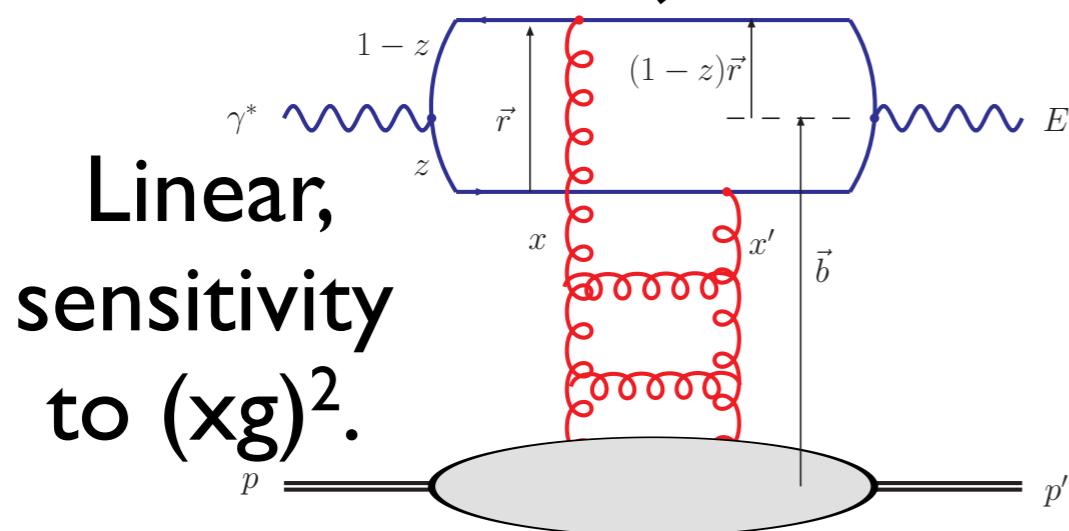
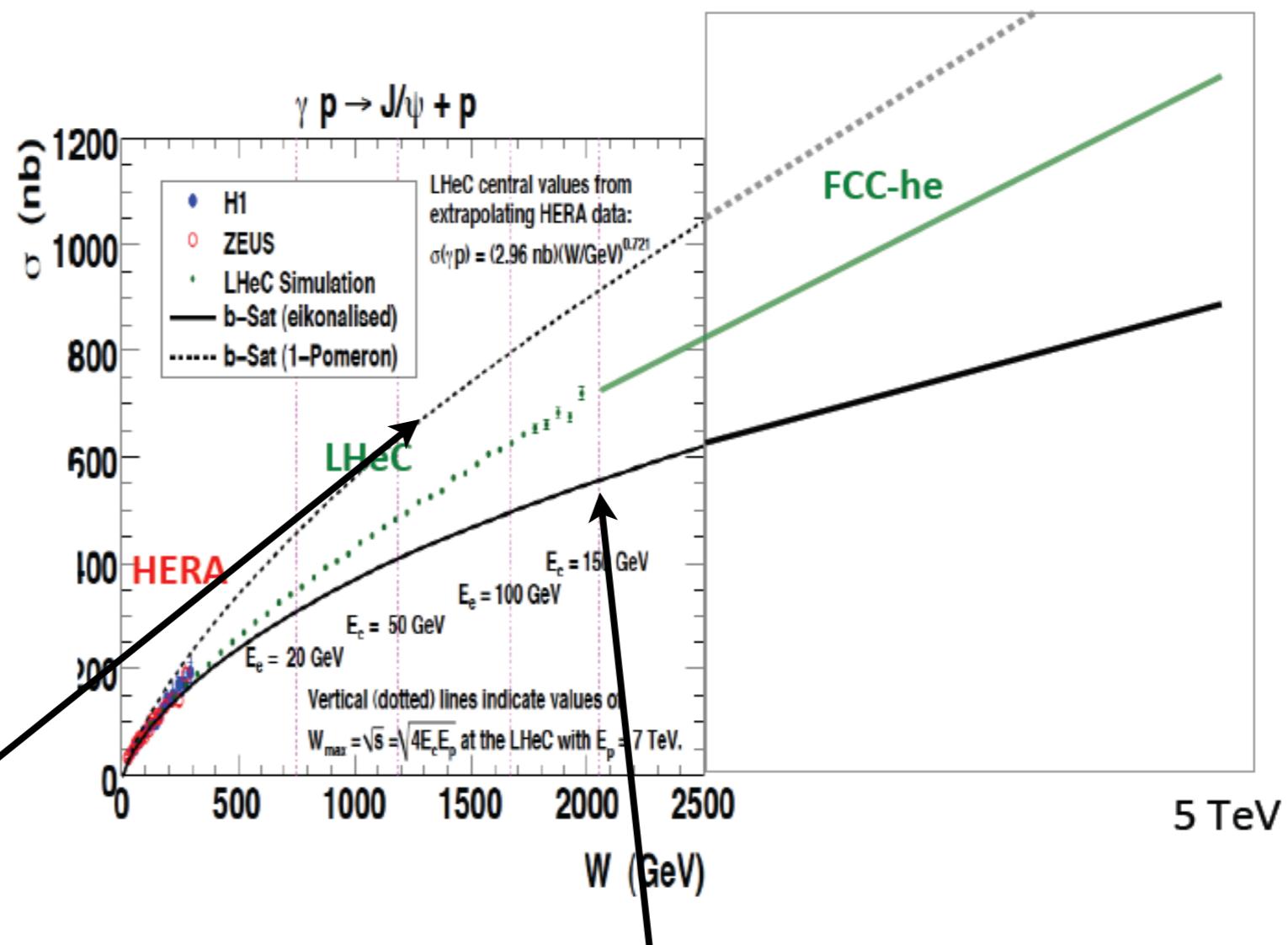


- F_2 and F_L at the FCC will provide a decisive test of small- x QCD (DGLAP cannot accommodate both if saturation is included), FCC reaching nearly $x=10^{-7}$ in DIS - much beyond HERA and the LHeC.

Elastic VM production in ep (I):



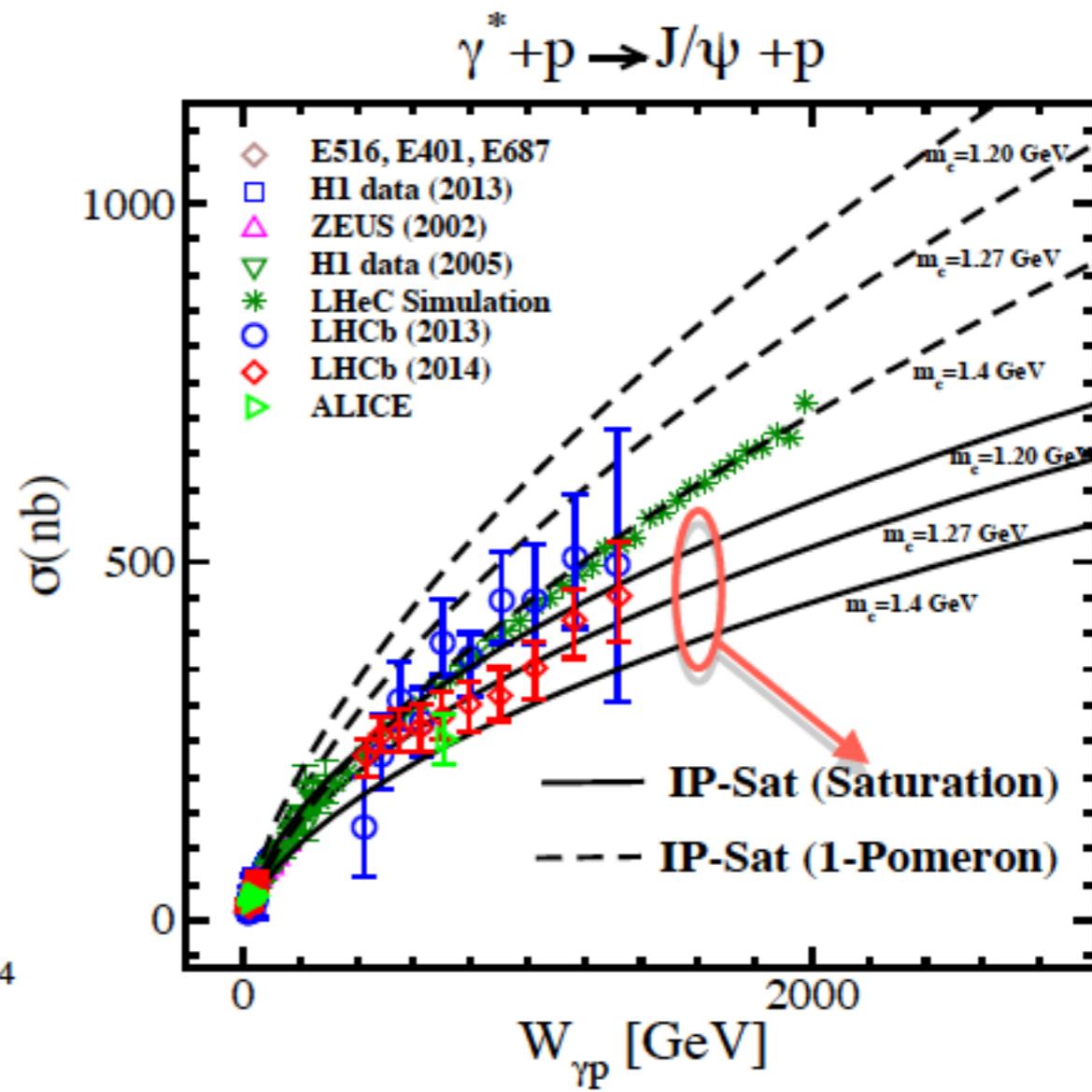
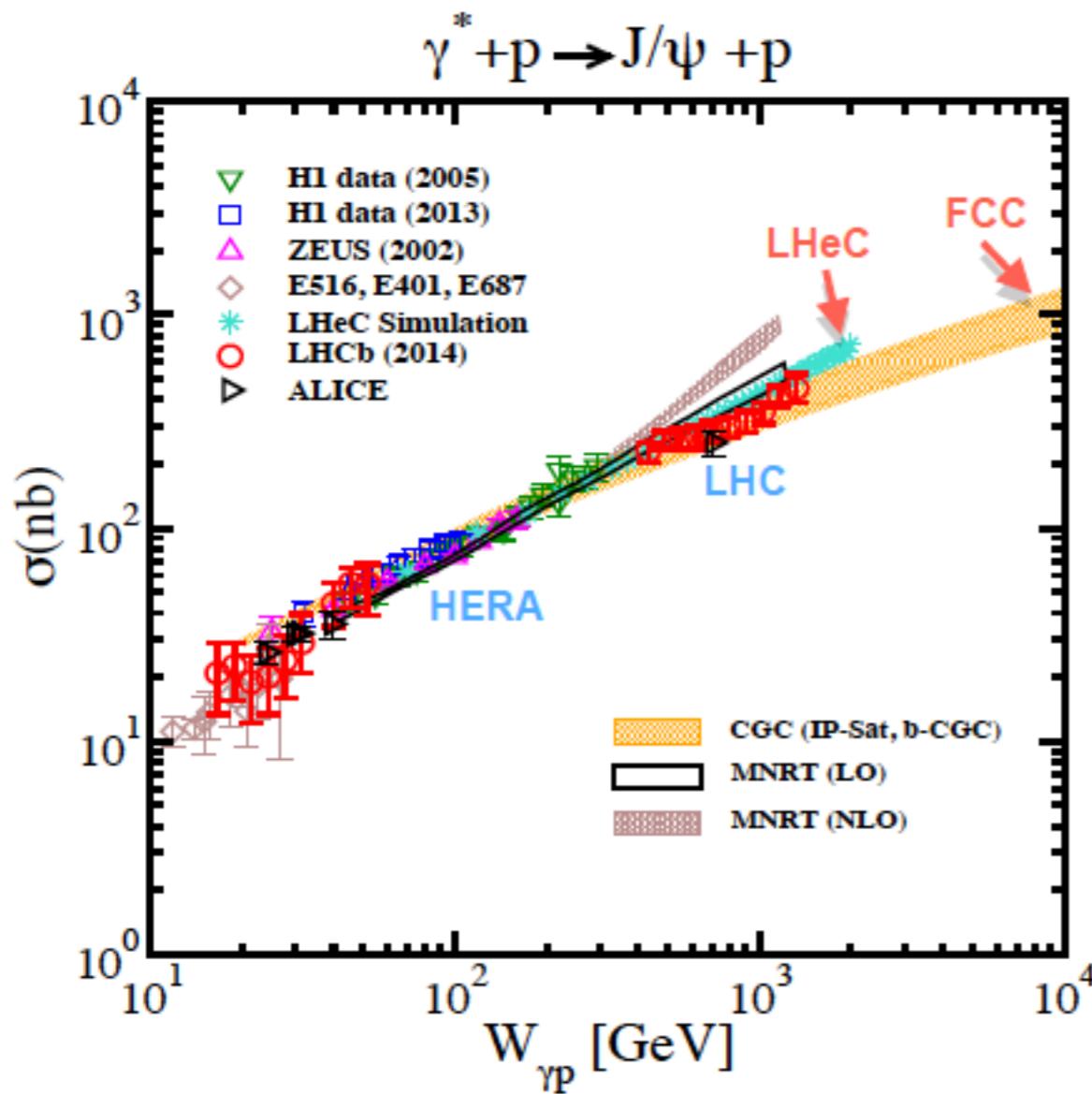
- Elastic J/ψ production may be a candidate to signal saturation effects at work.



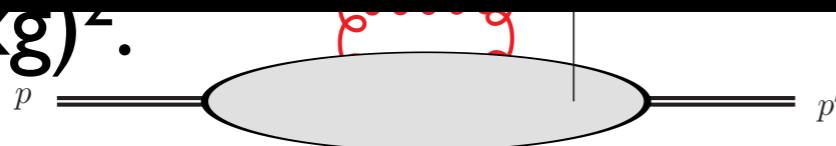
Elastic VM production in ep (I):

- UPCs are an alternative, though less precise.

Armesto and Rezaeian, arXiv:1402.4831

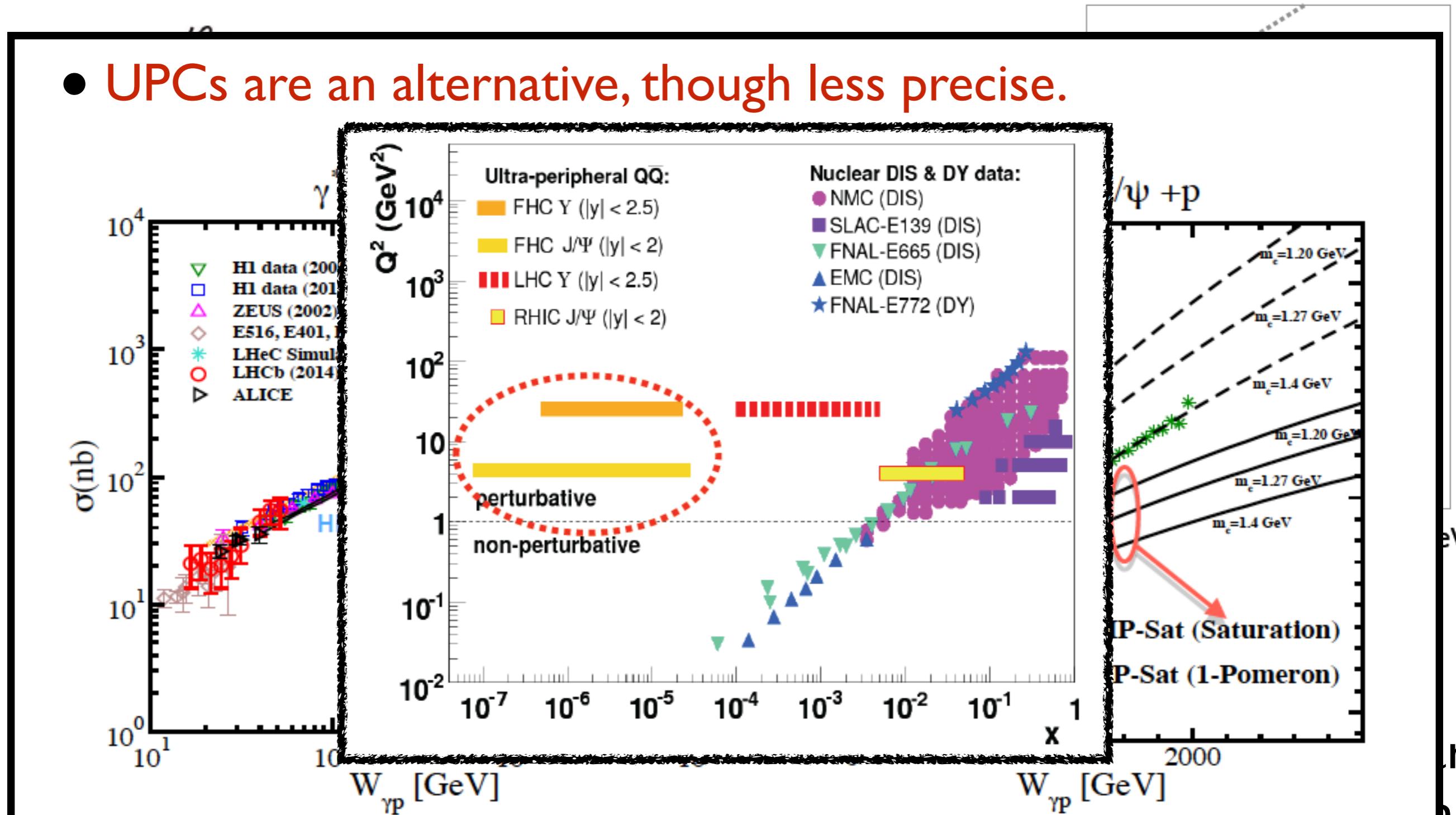


to $(xg)^2$.

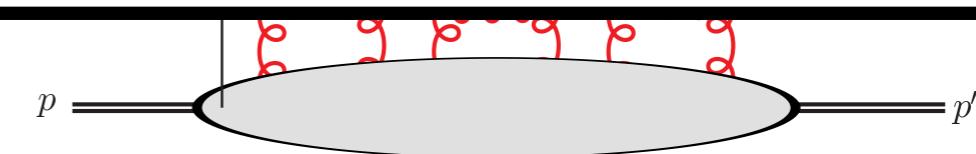
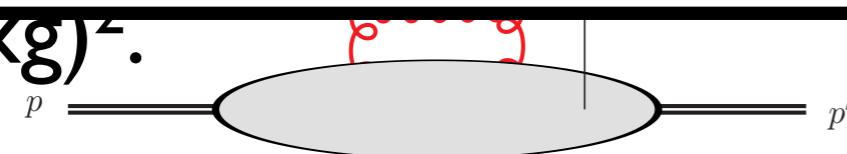


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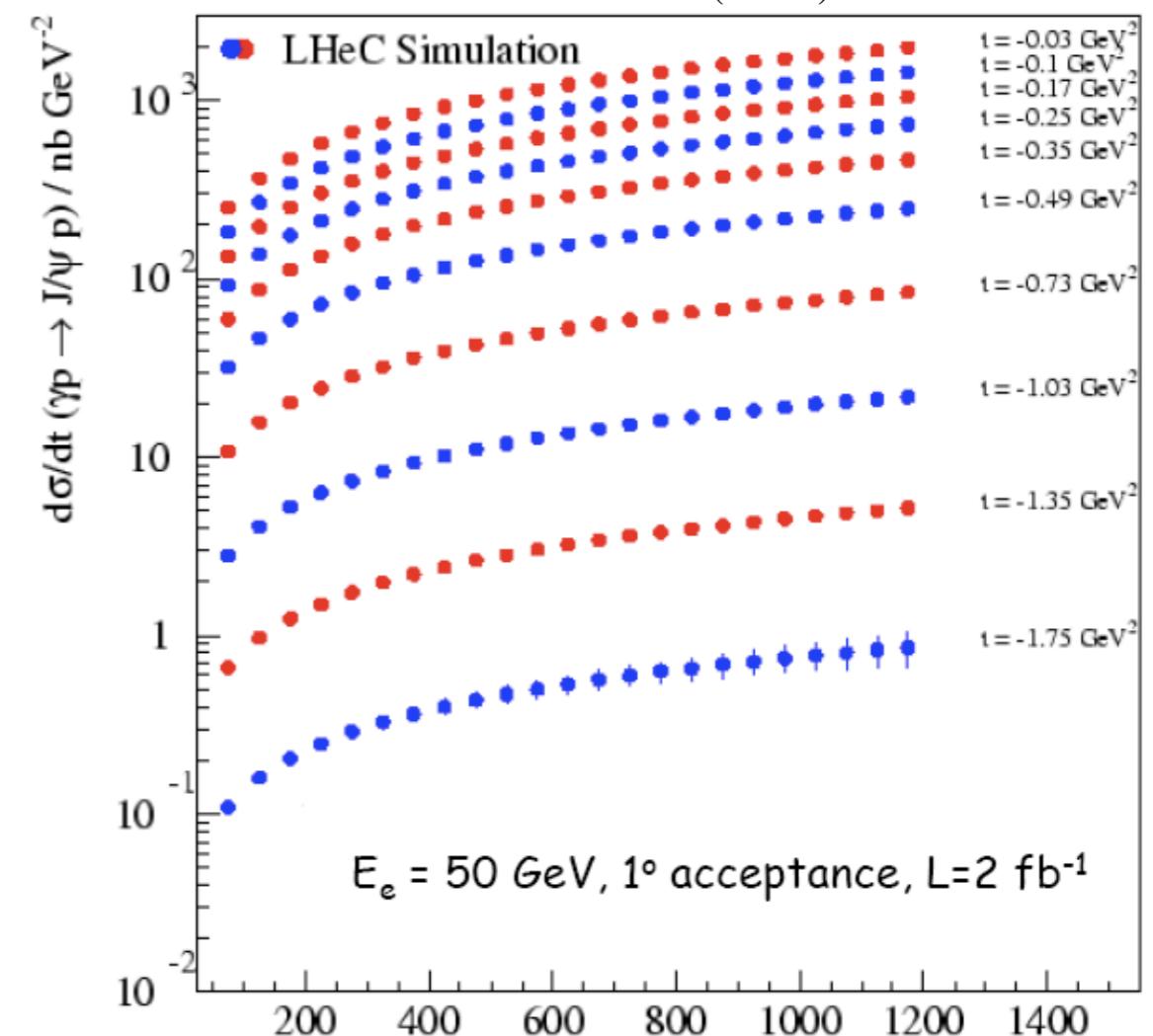
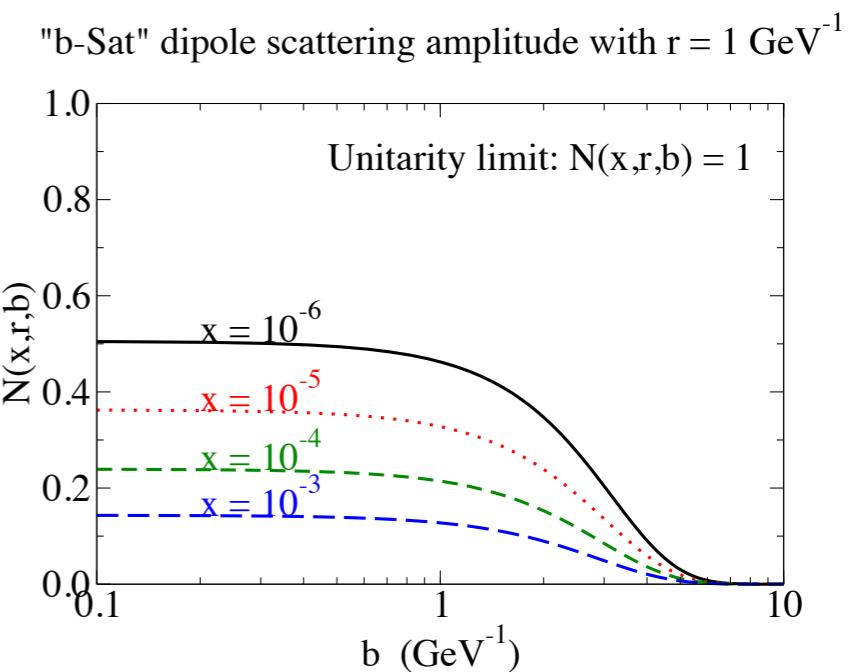
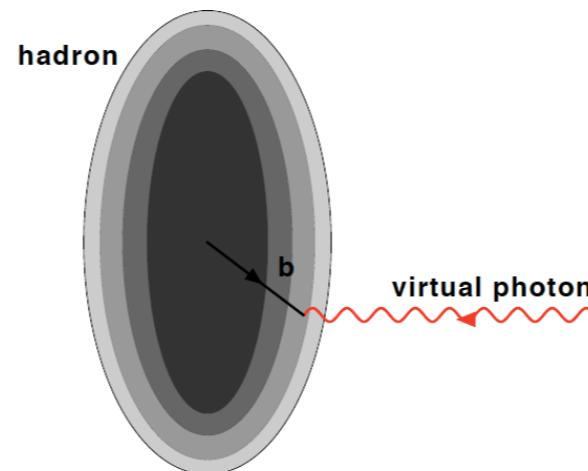
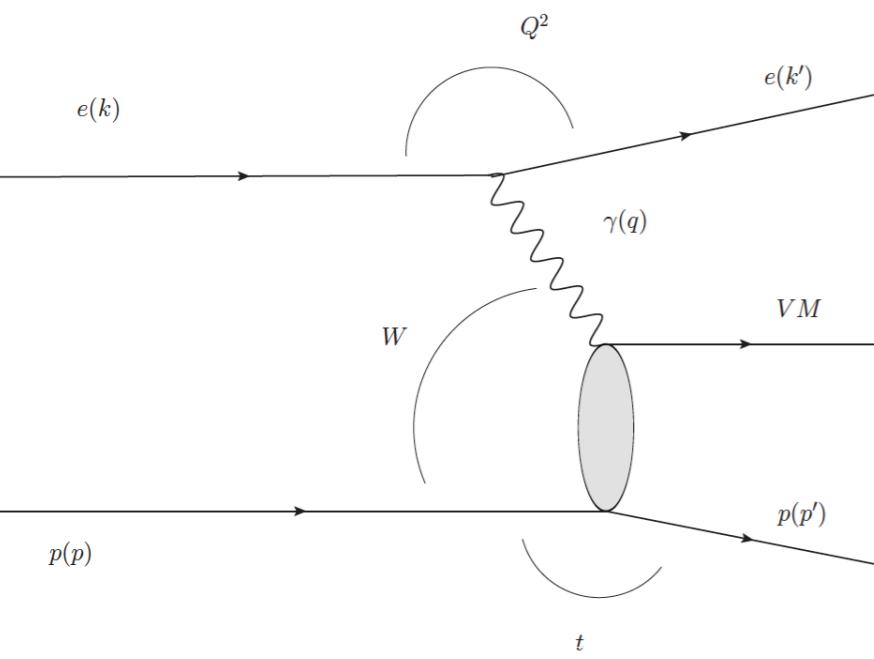
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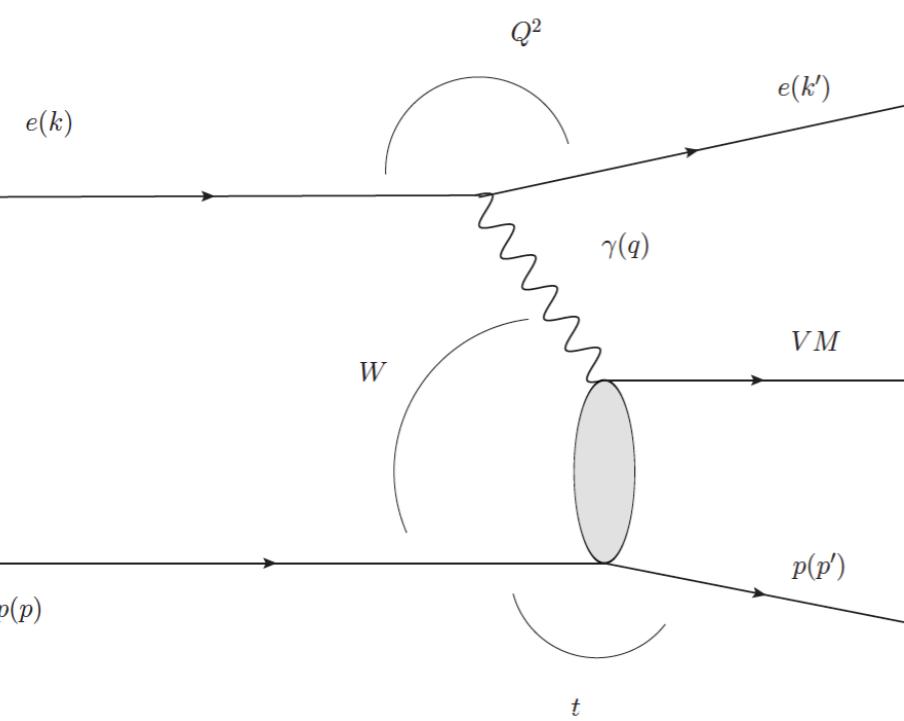


Elastic VM production in ep (II):

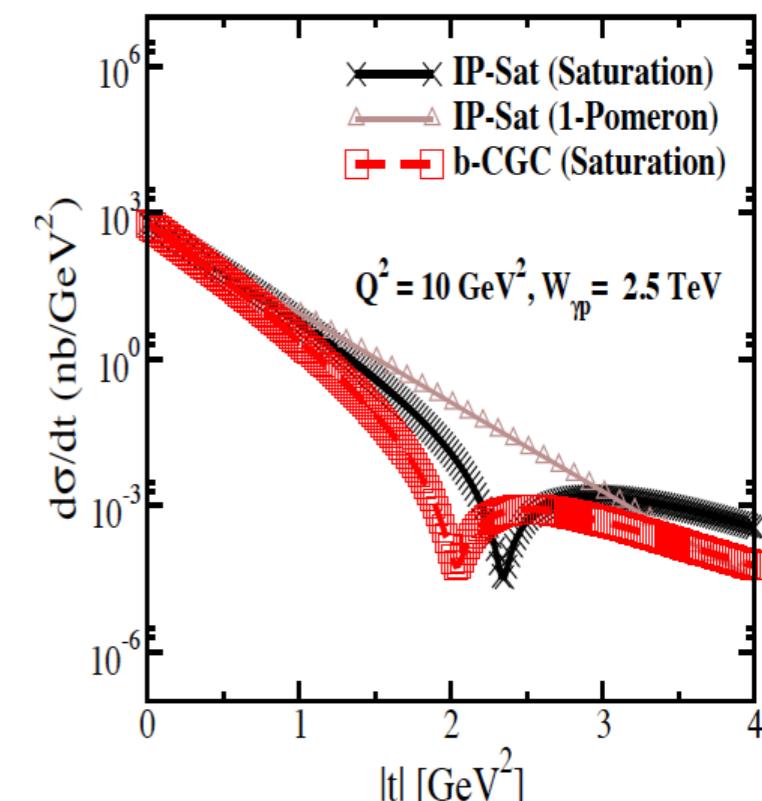
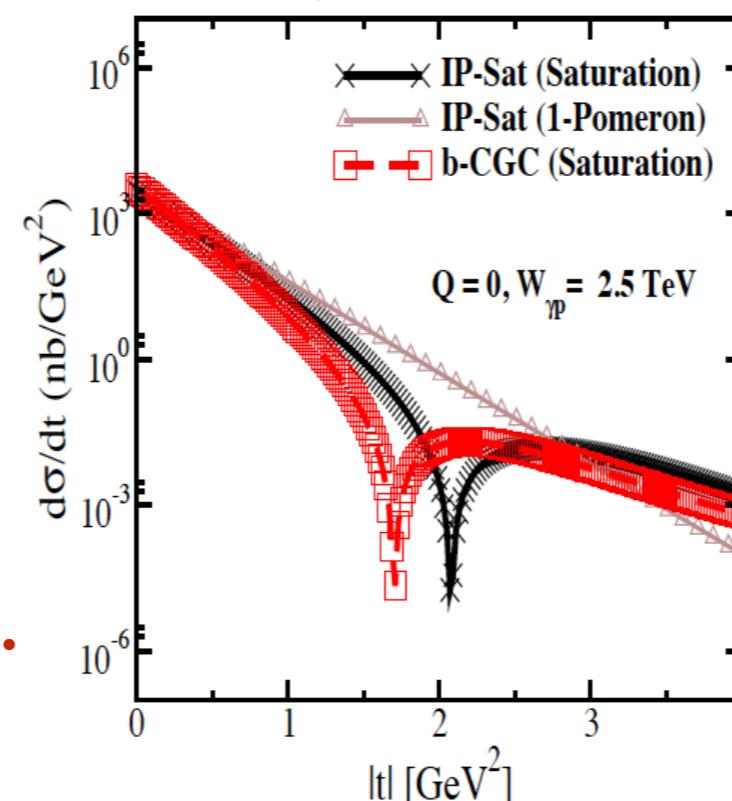
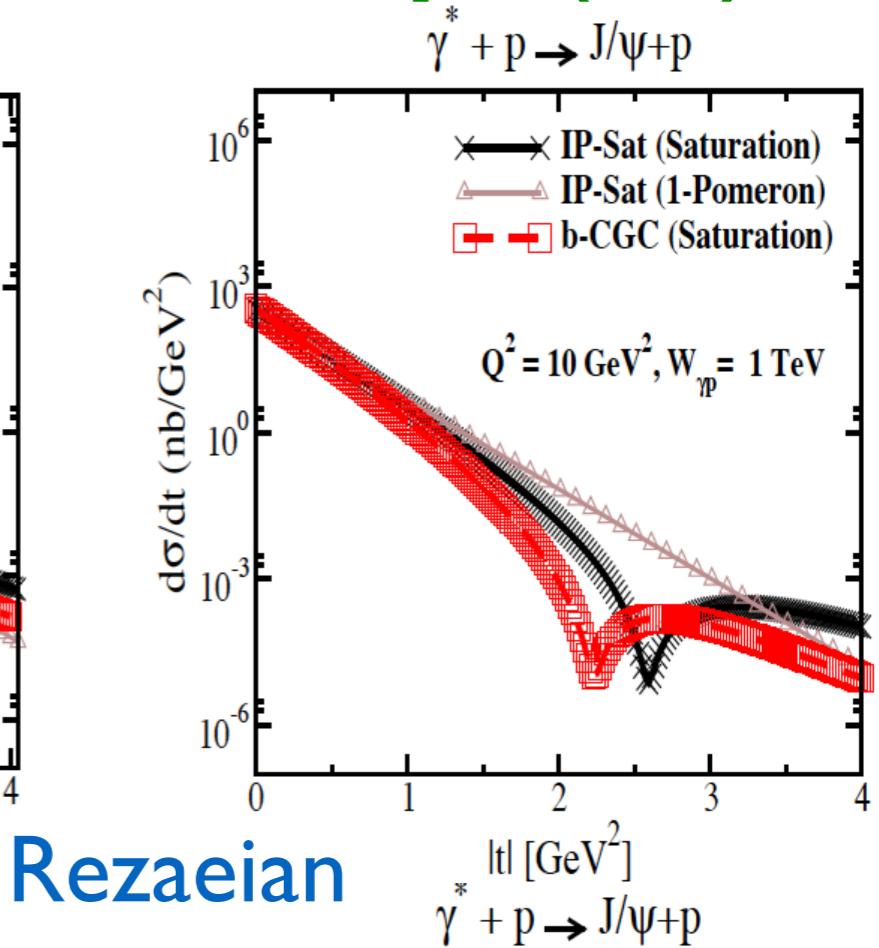
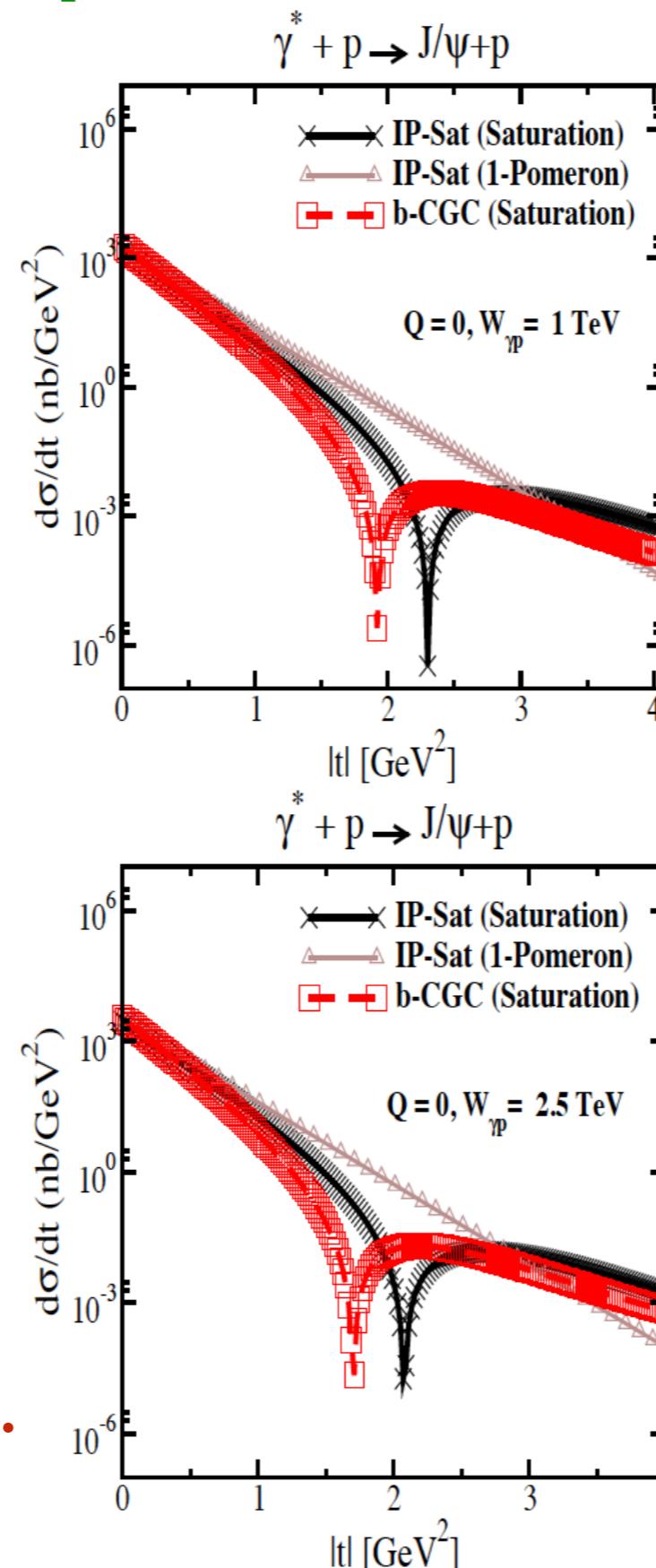


- t -differential measurements give a transverse mapping of the glue in the hadron/nucleus (gluon GPD; quark GPDs accessible through DVCS).
- Large acceptance, up to $|t|=2 \text{ GeV}^2$, achievable at the FCC-eh.

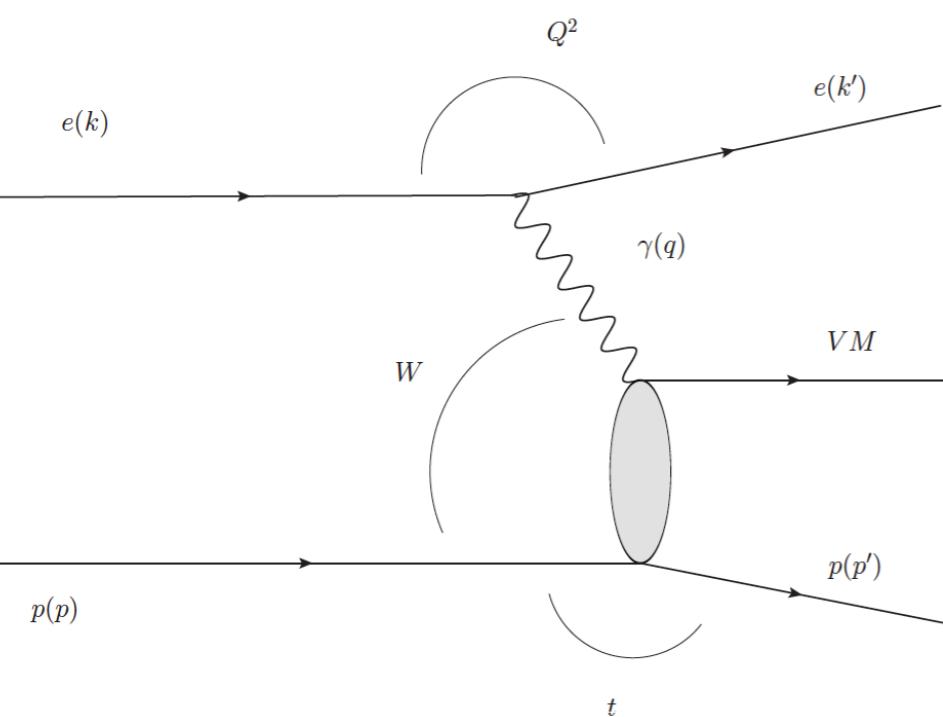
Elastic VM production in ep (III):



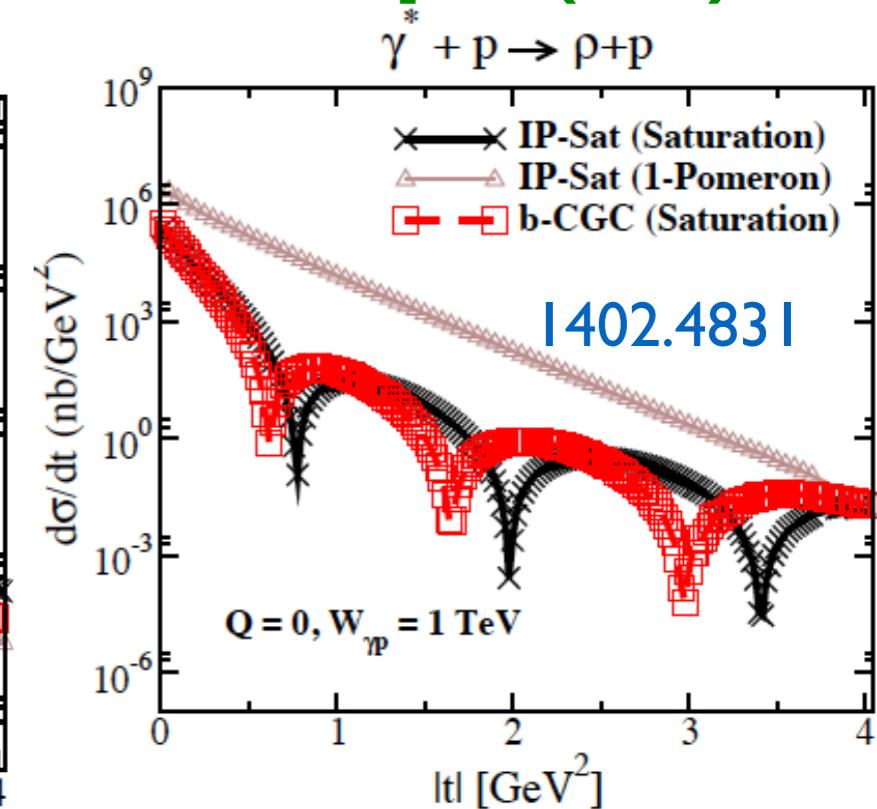
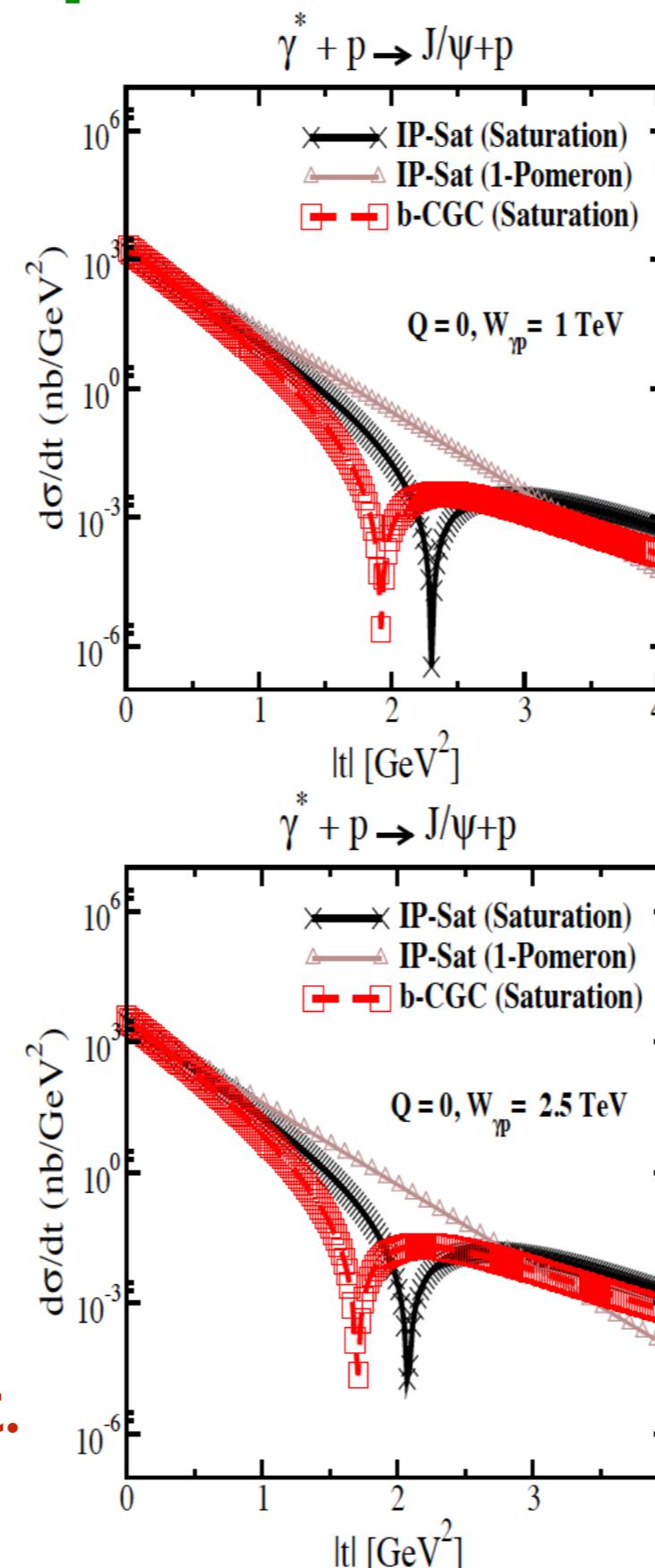
- Position of the dip and its evolution determined by the transverse structure of proton/nuclei; its shrinking is natural in non-linear evolution towards the black disk (unitarity) limit.



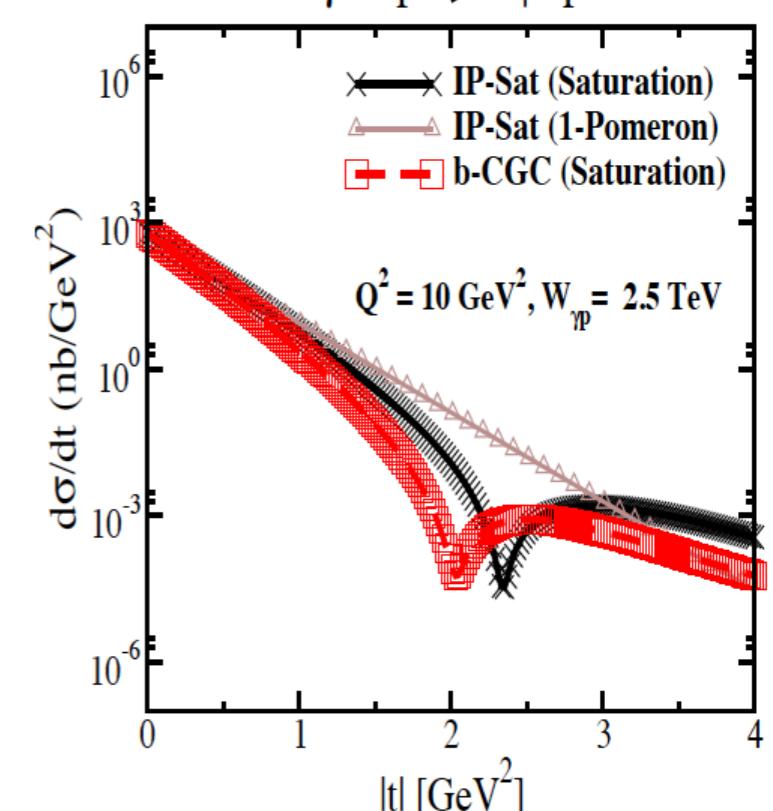
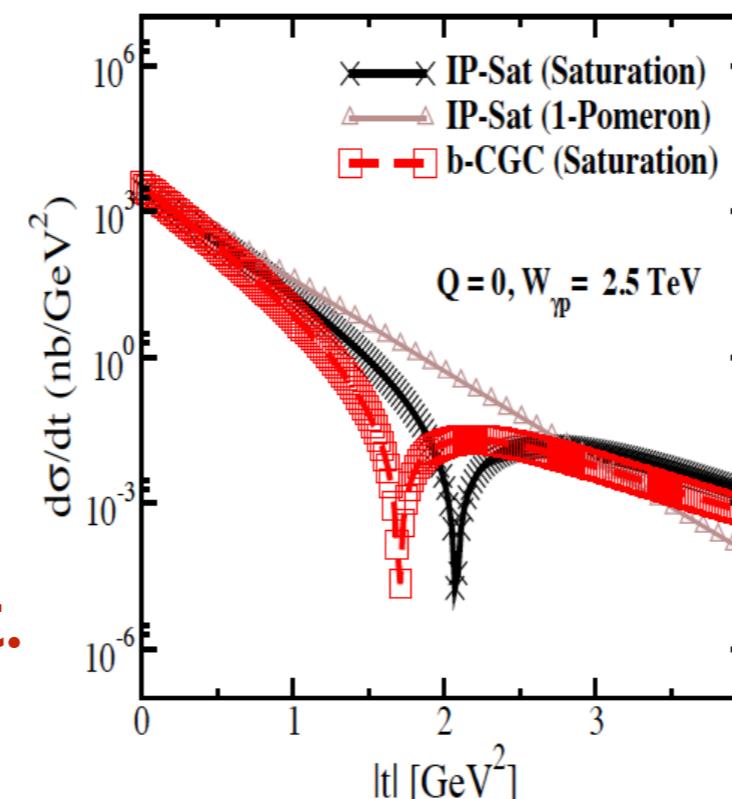
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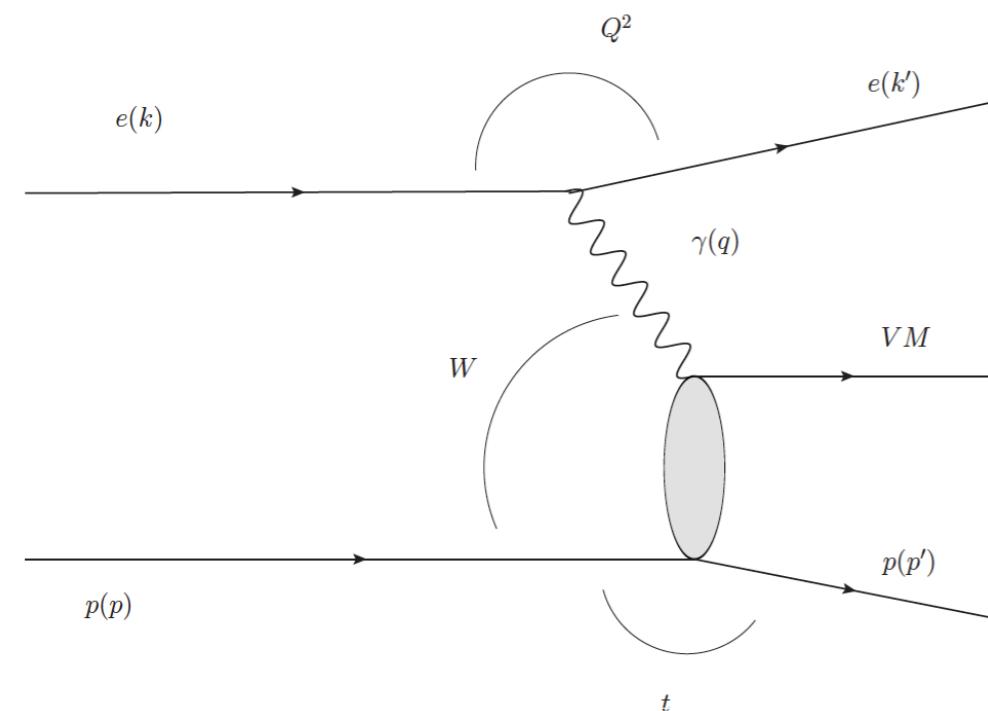
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Rezaeian

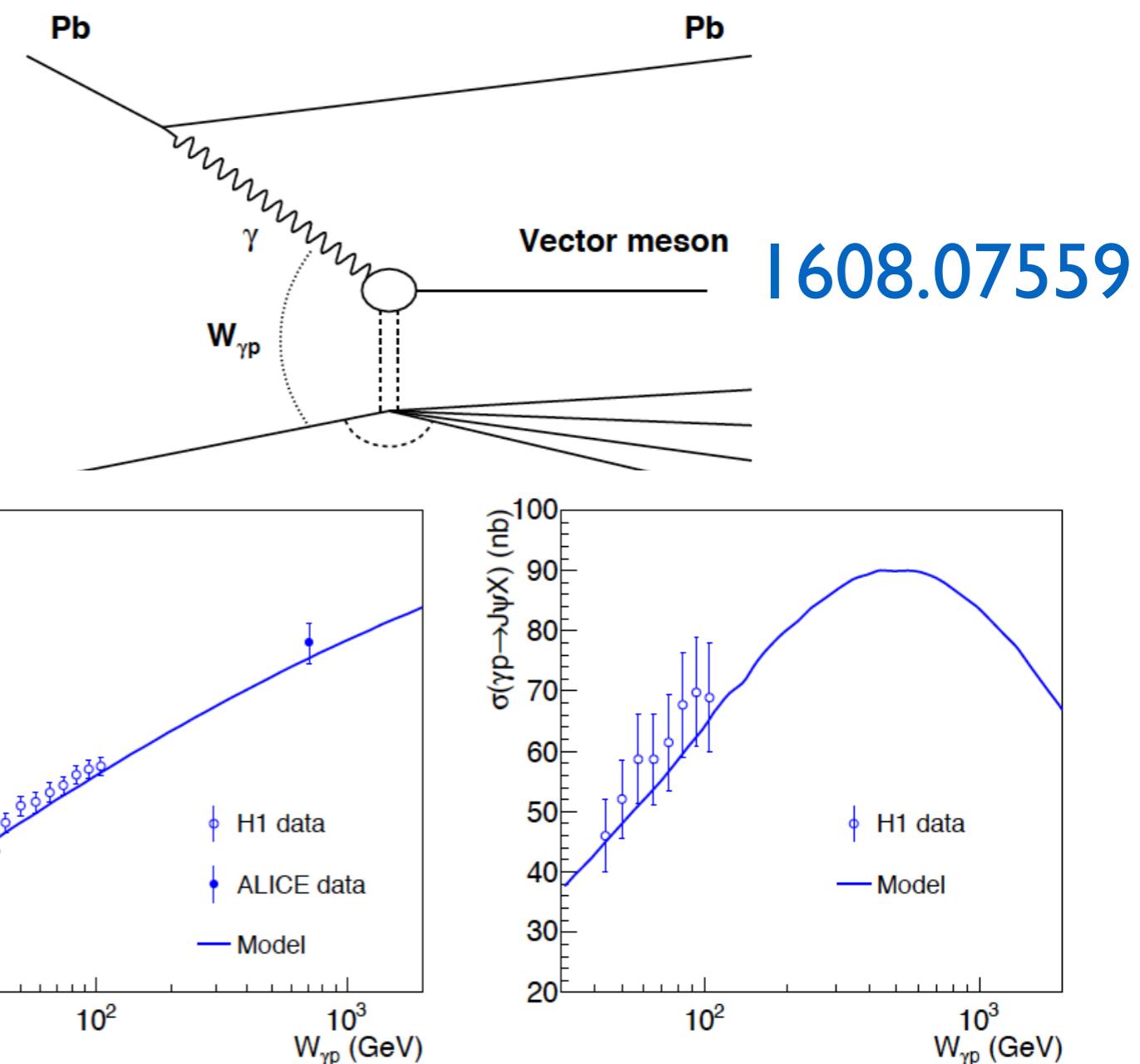


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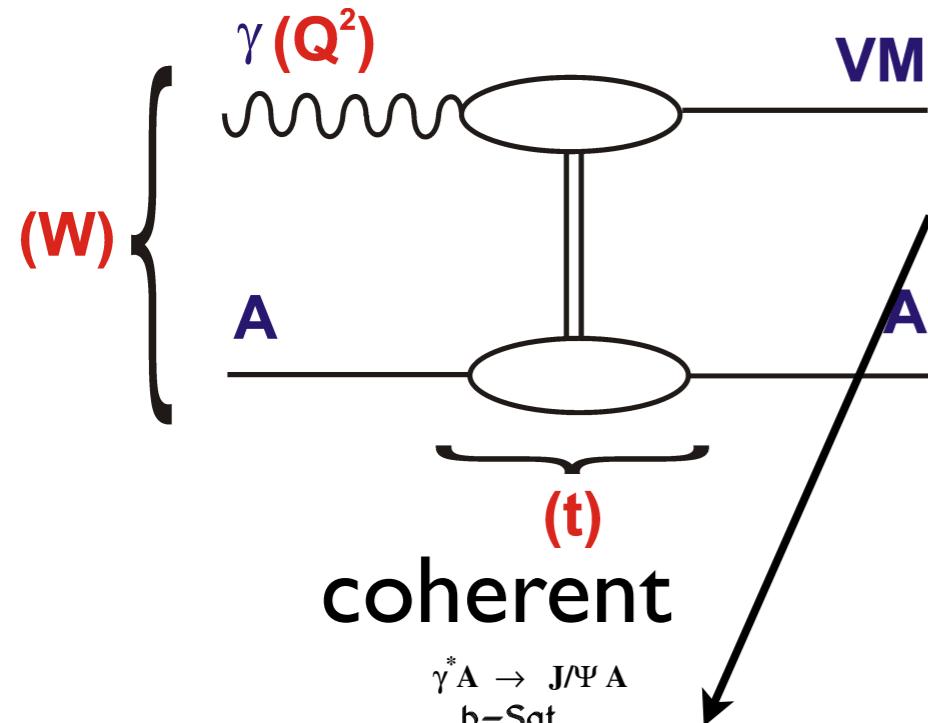


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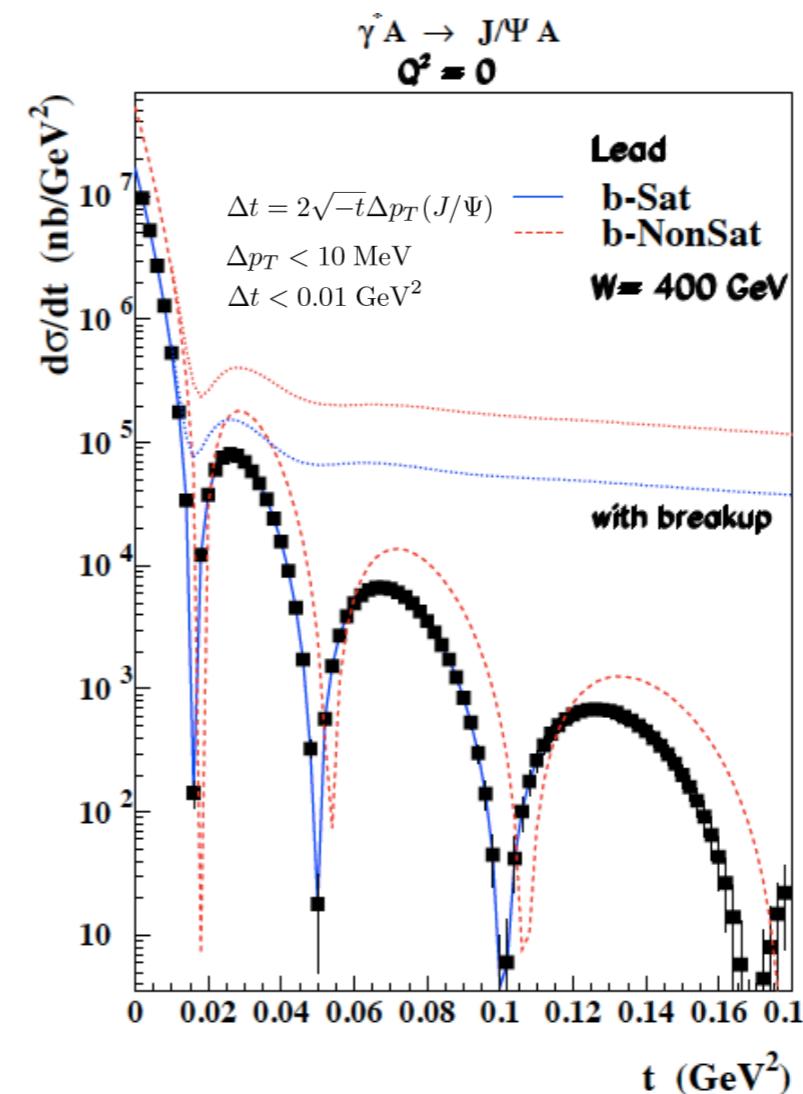
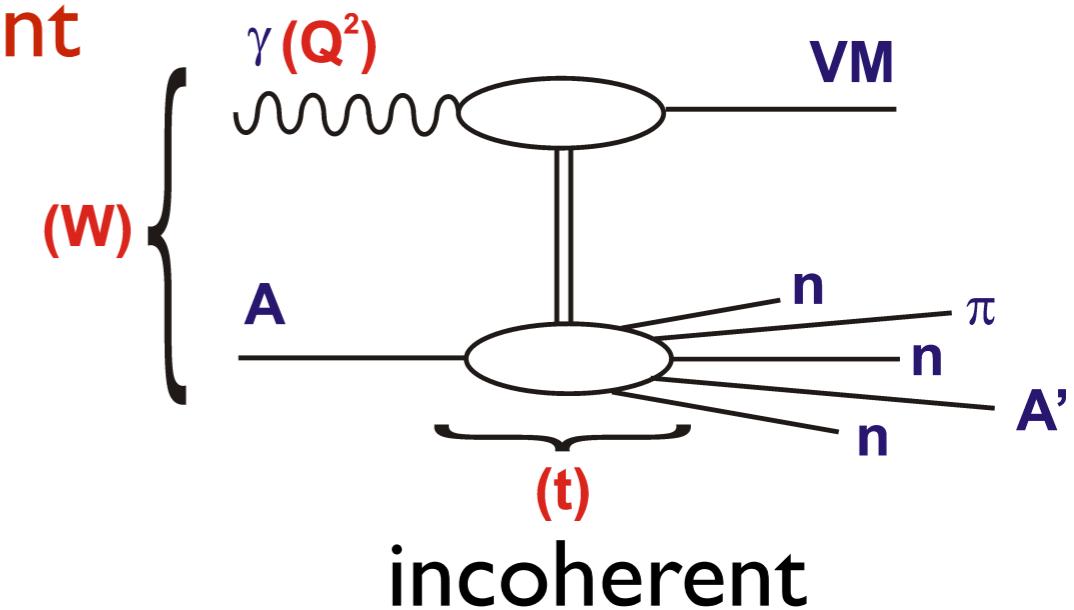
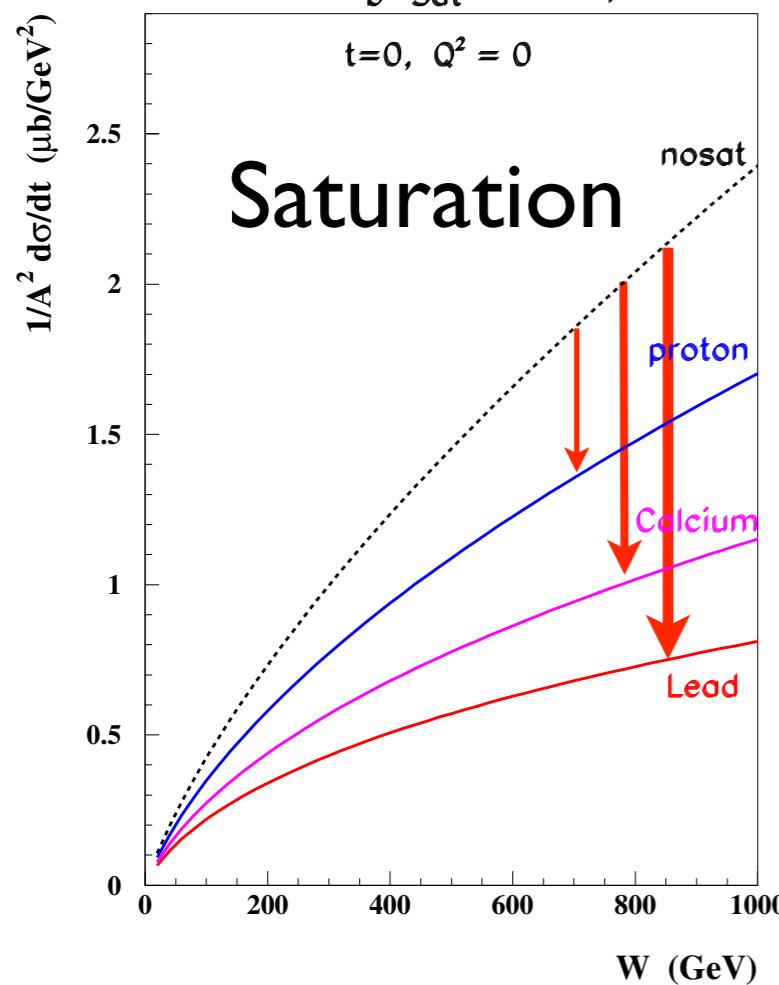
- For incoherent diffraction, sensitivity to the proton transverse structure: homogeneous versus lumpy.



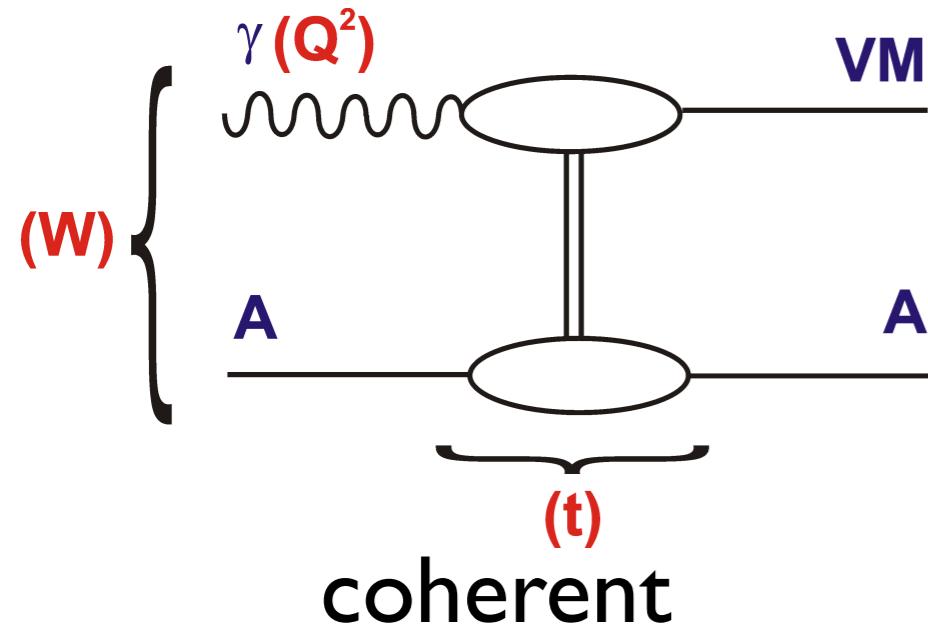
Elastic VM production in eA:



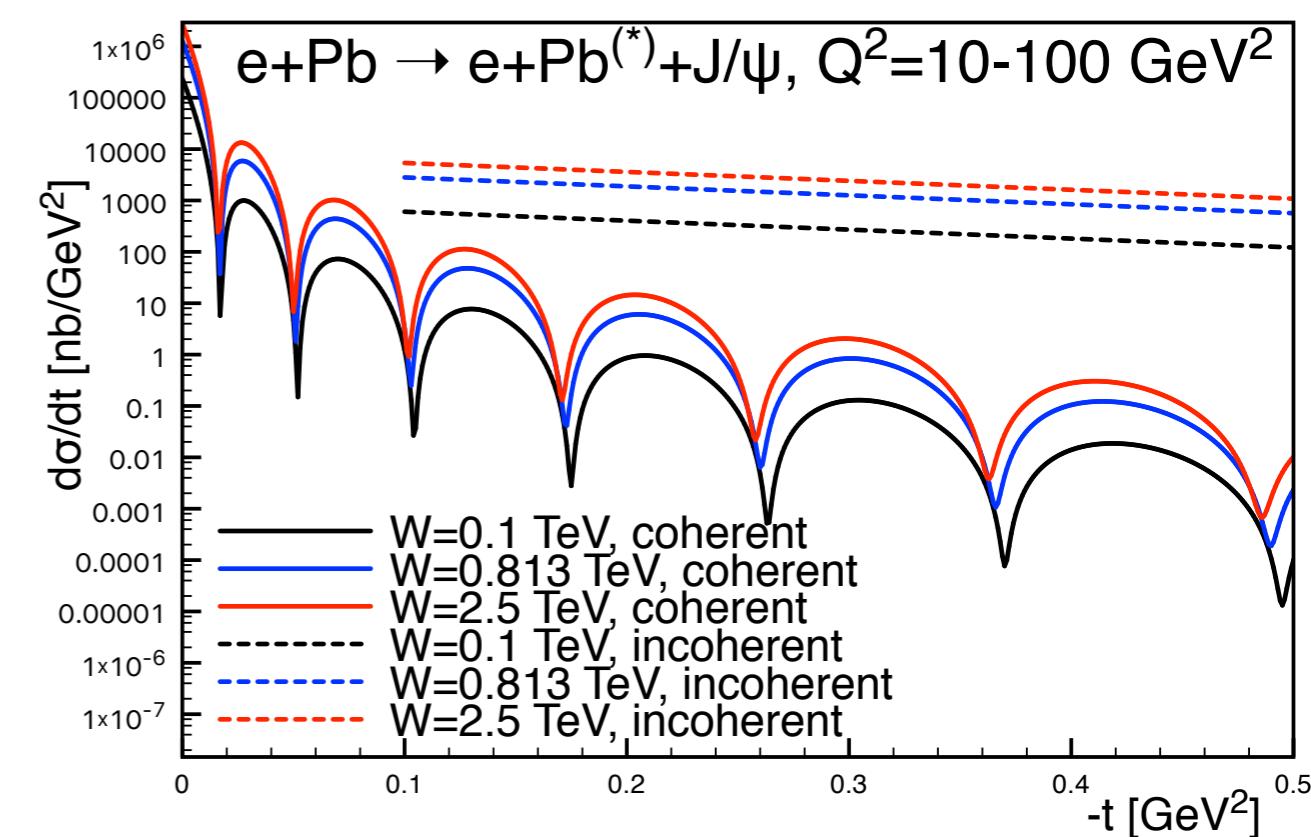
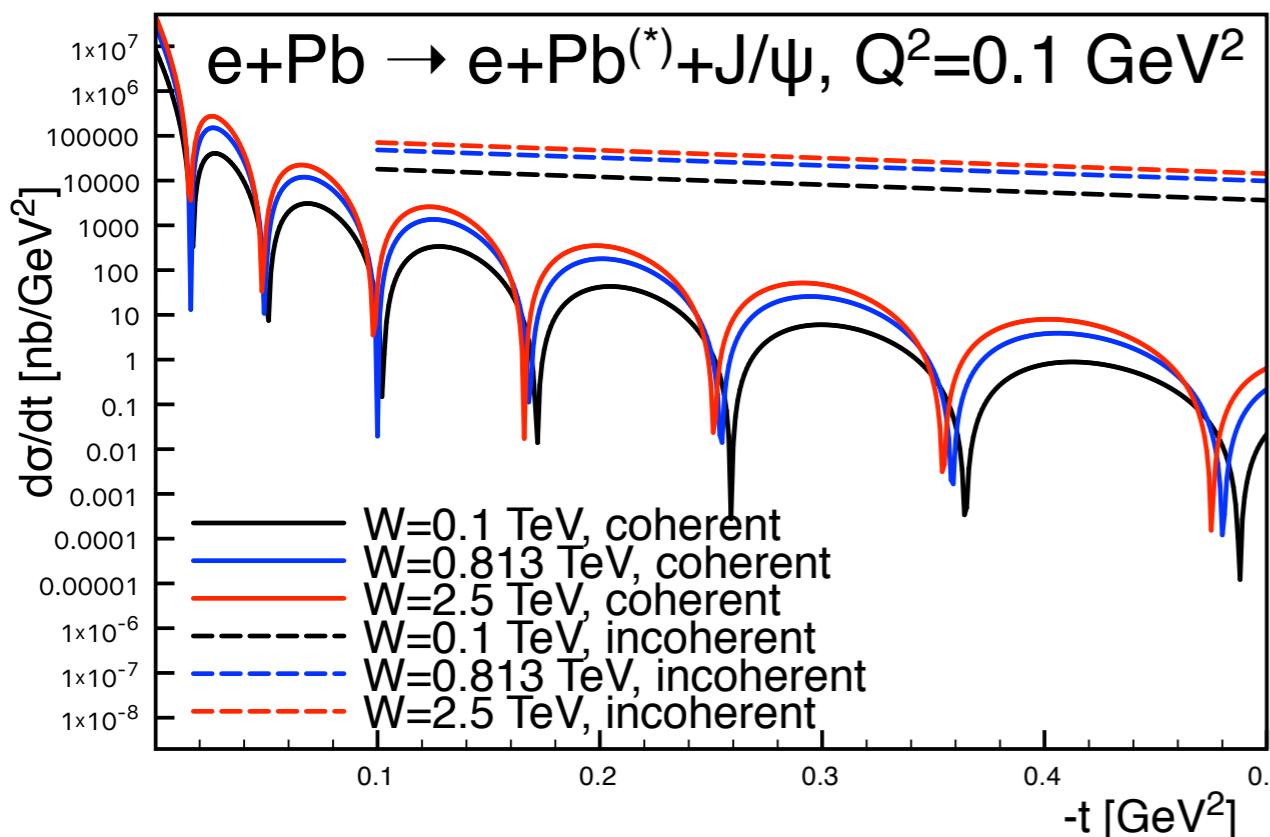
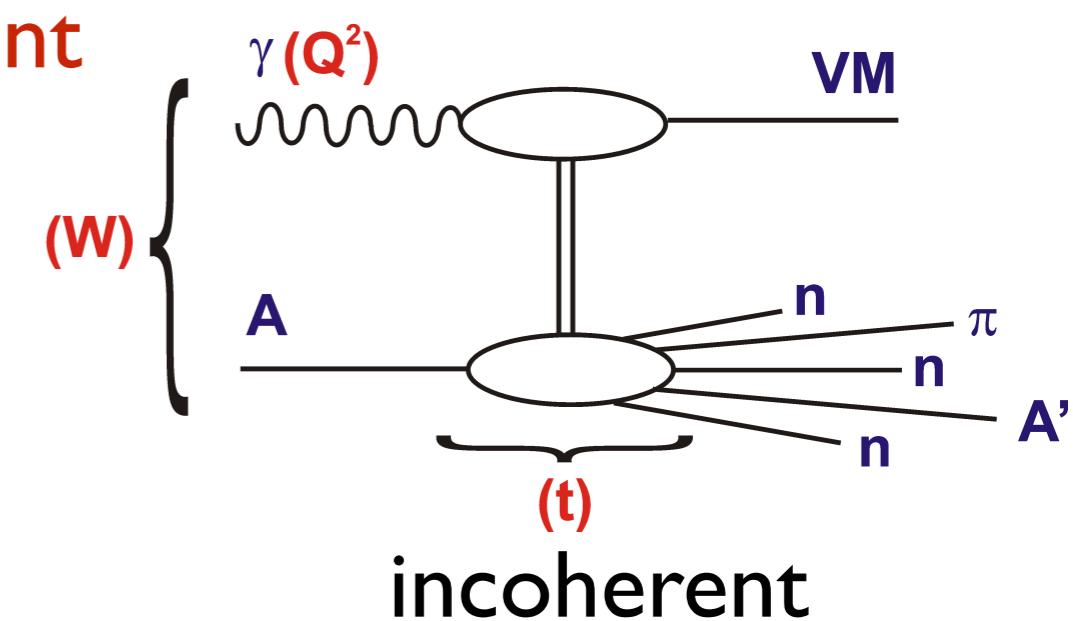
- For the **coherent case**, predictions available.
- **Challenging experimental problem.**



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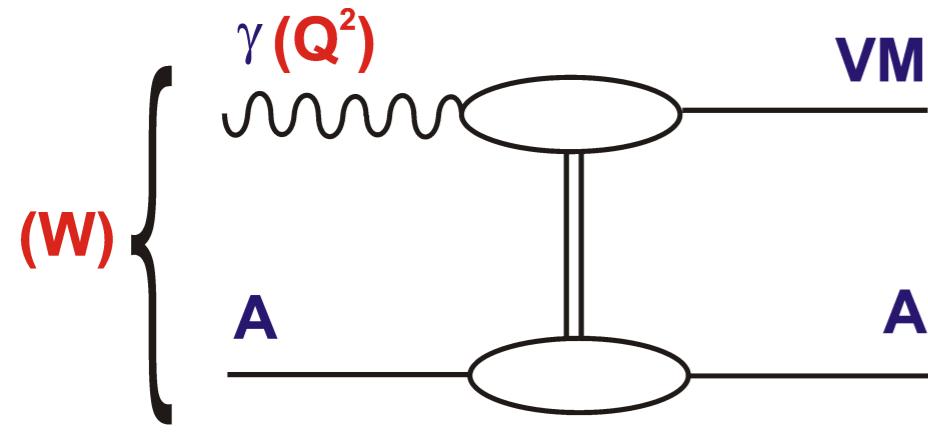


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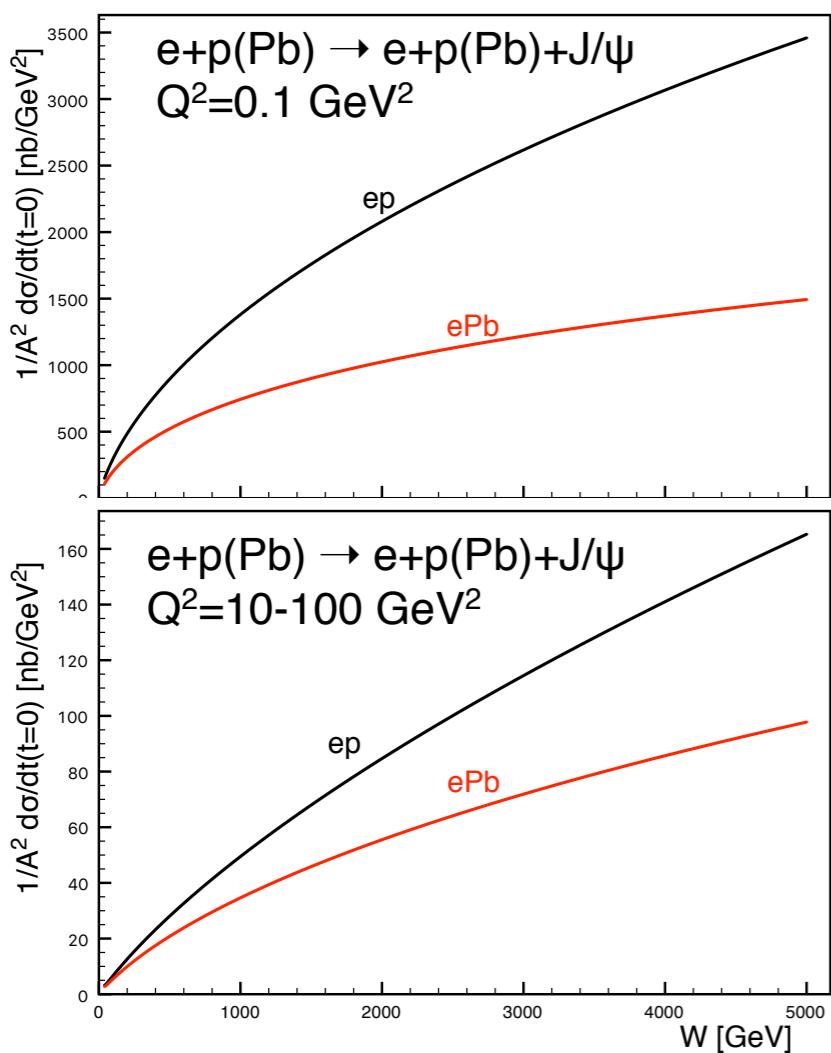


Mantysaari, 10.II.1988, IPsat

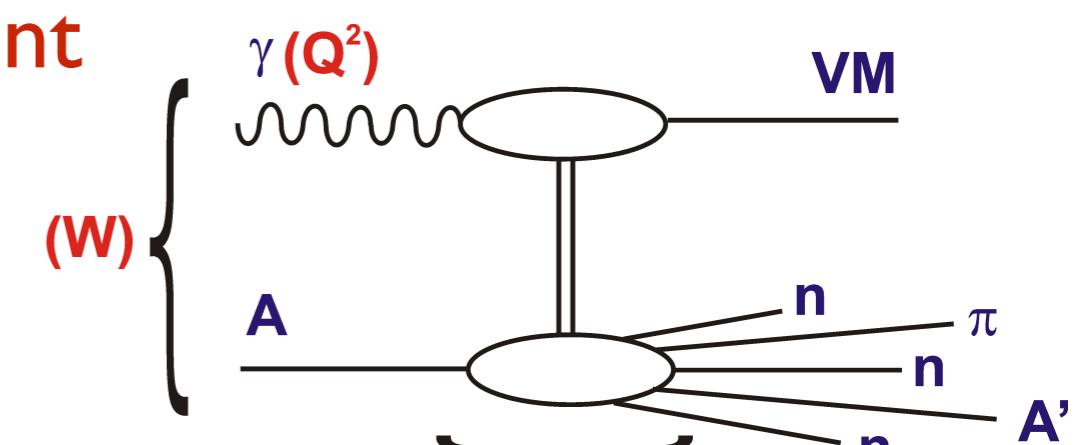
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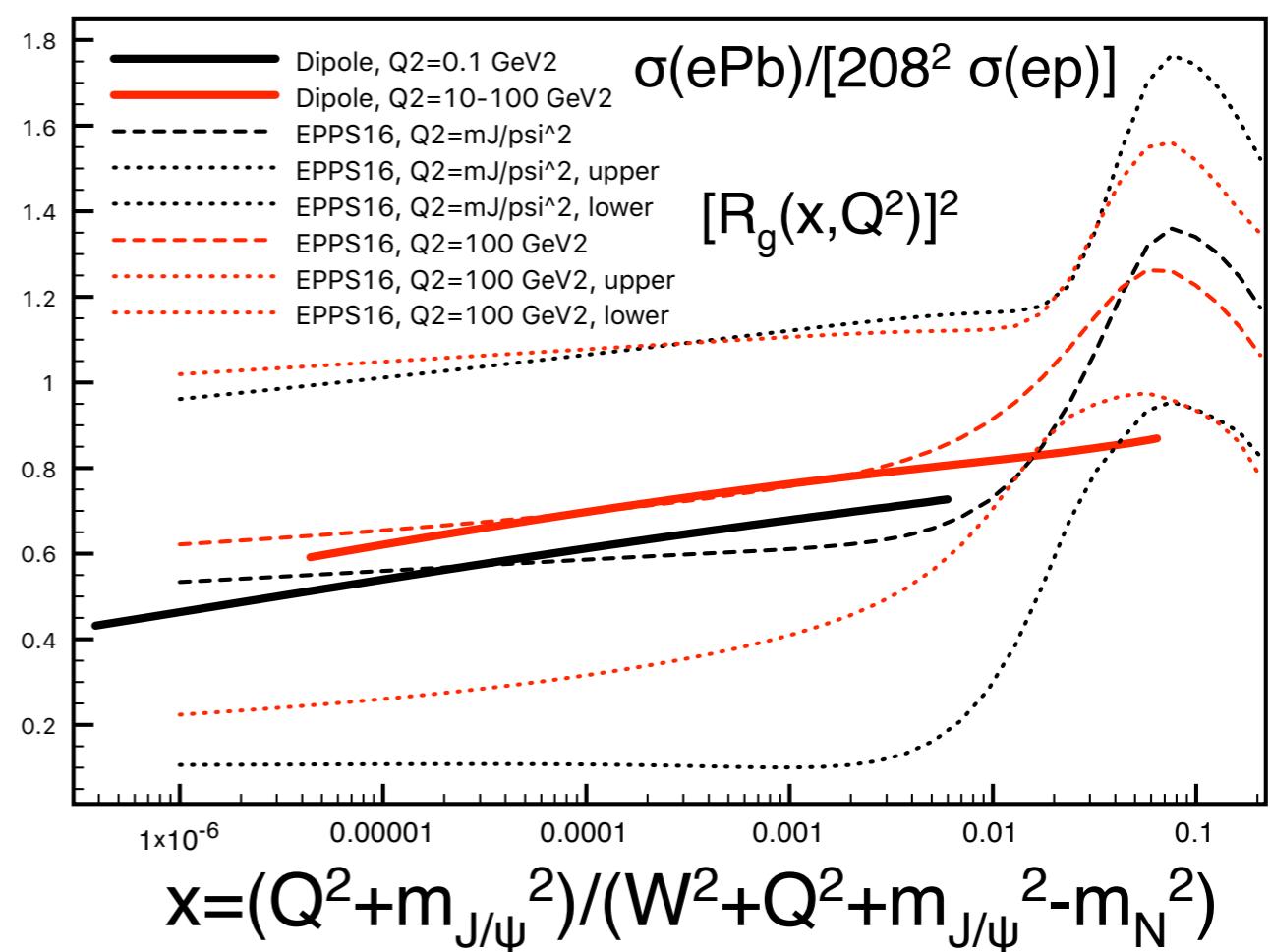
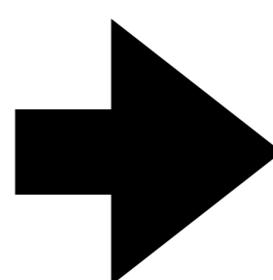
coherent



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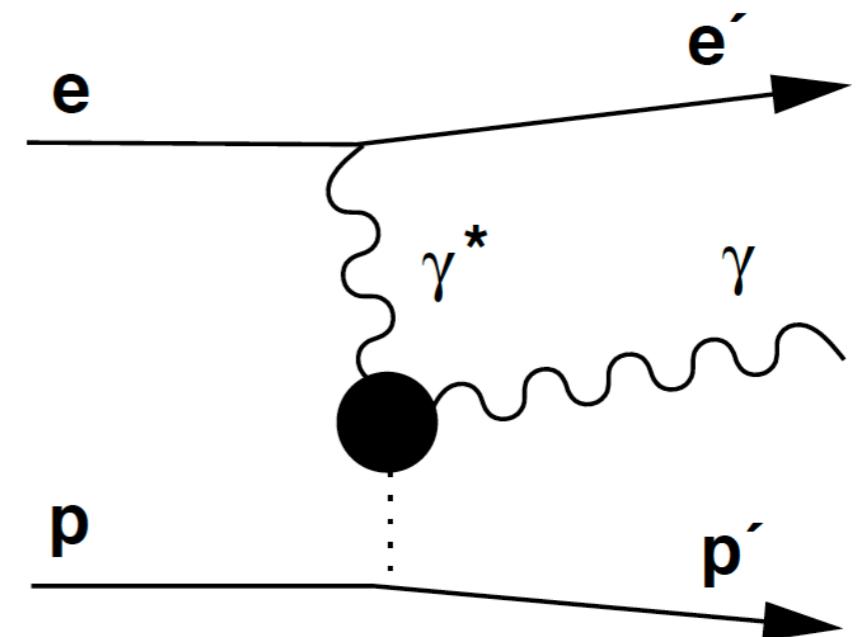
incoherent



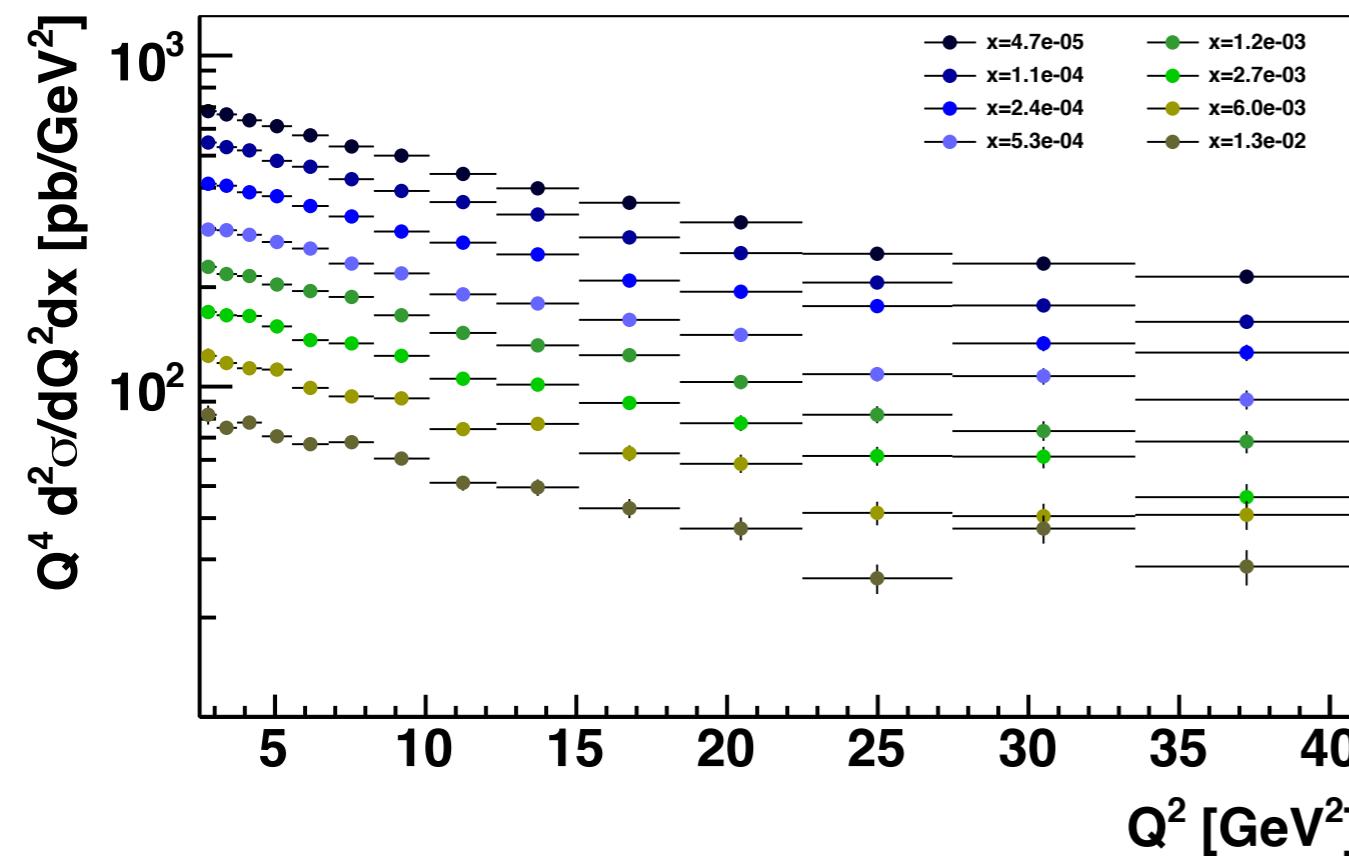
Mantysaari, Paukkunen

DVCS:

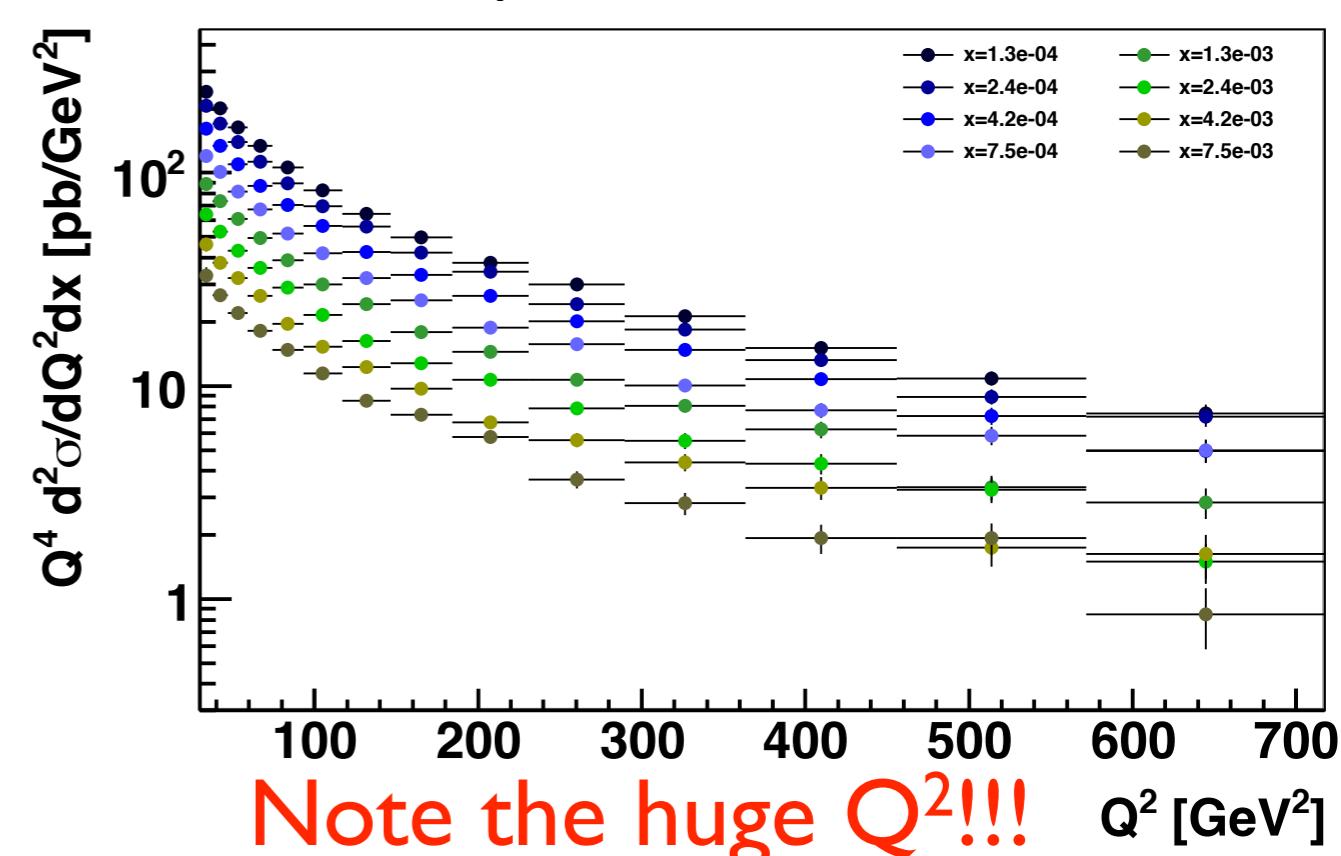
- Exclusive processes give information about GPDs, whose Fourier transform gives a transverse scan of the hadron:
DVCS sensitive to the singlet.
- Sensitive to dynamics e.g. non-linear effects.



DVCS, $E_e=50$ GeV, 1° ,
 $p_{T\gamma}^{\text{cut}}=2$ GeV, 1 fb^{-1}



DVCS, $E_e=50$ GeV, 10° ,
 $p_{T\gamma}^{\text{cut}}=5$ GeV, 100 fb^{-1}



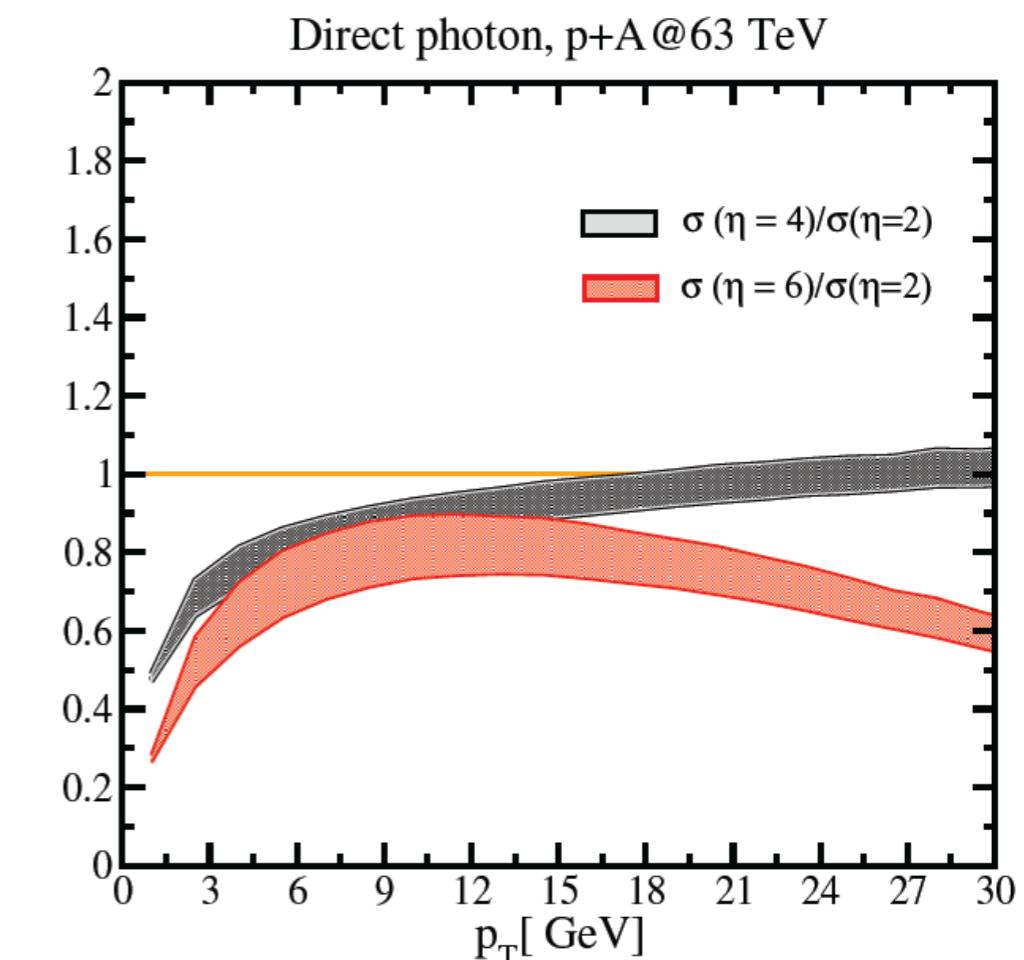
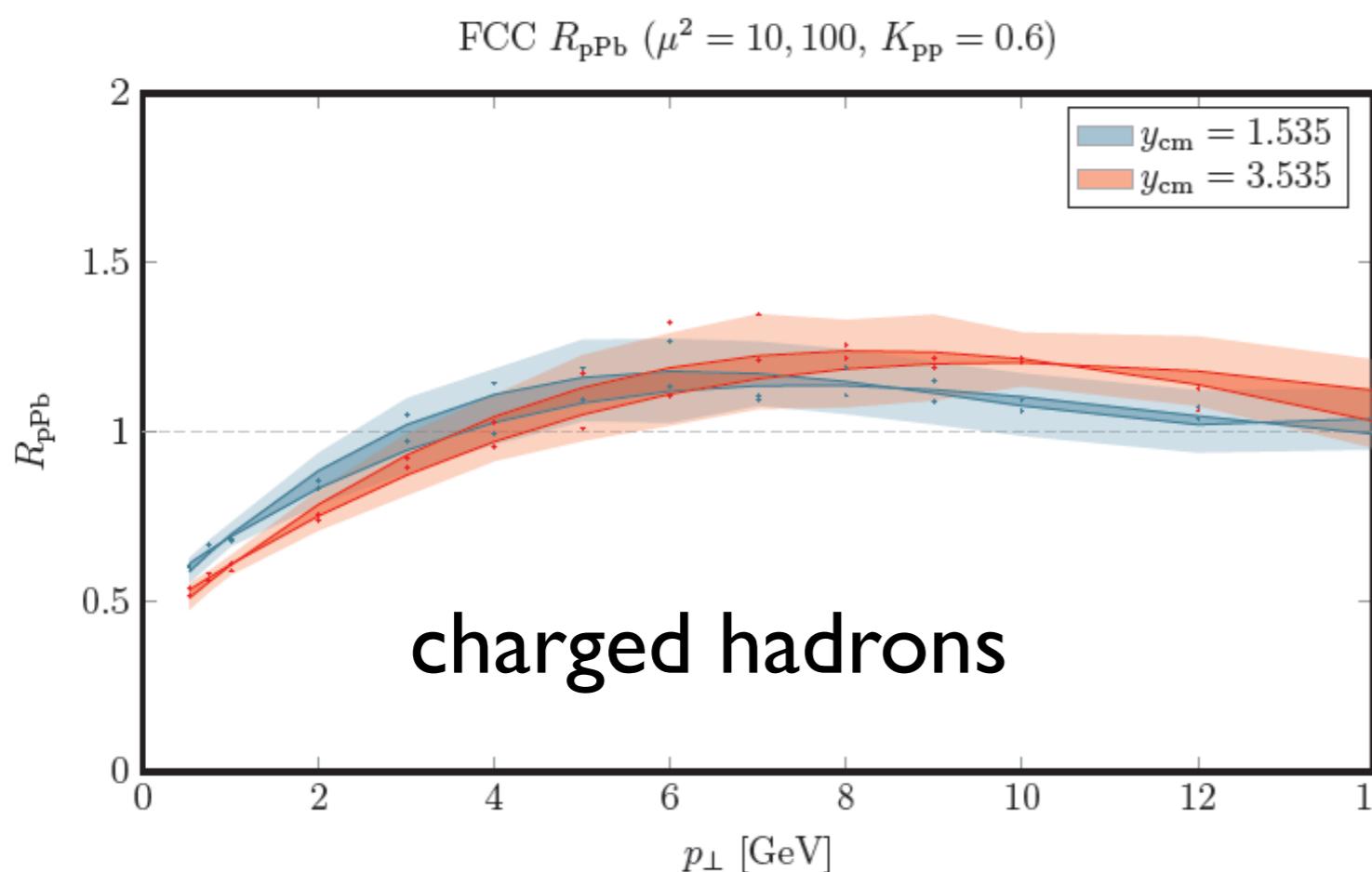
Note the huge $Q^2!!!$

Single particle suppression in pA:

- Single particle suppression increasing with rapidity was proposed as a signal of saturation.

$$R_{\text{pA}} = \frac{\text{yield in eA/pA}}{\text{scaled yield in ep/pp}}$$

- To be contrasted with an extraction of PDFs in collinear factorisation: tensions?

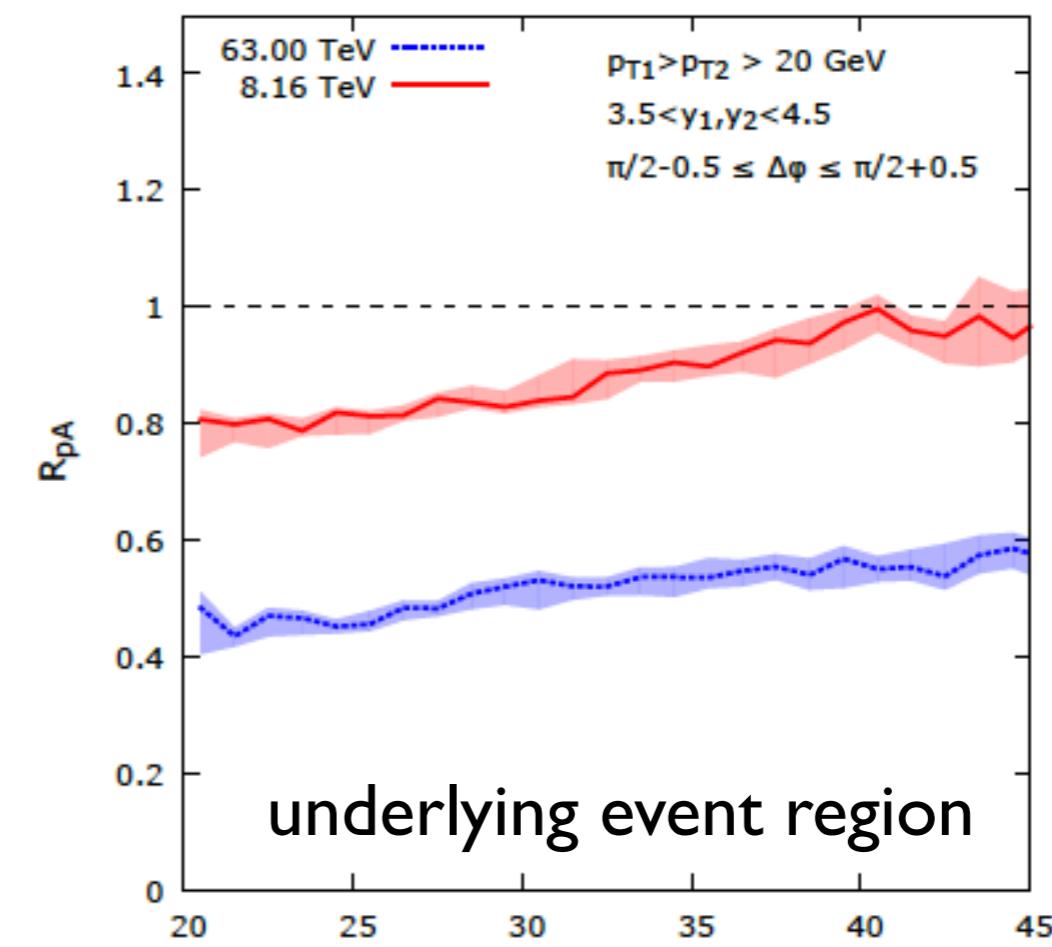
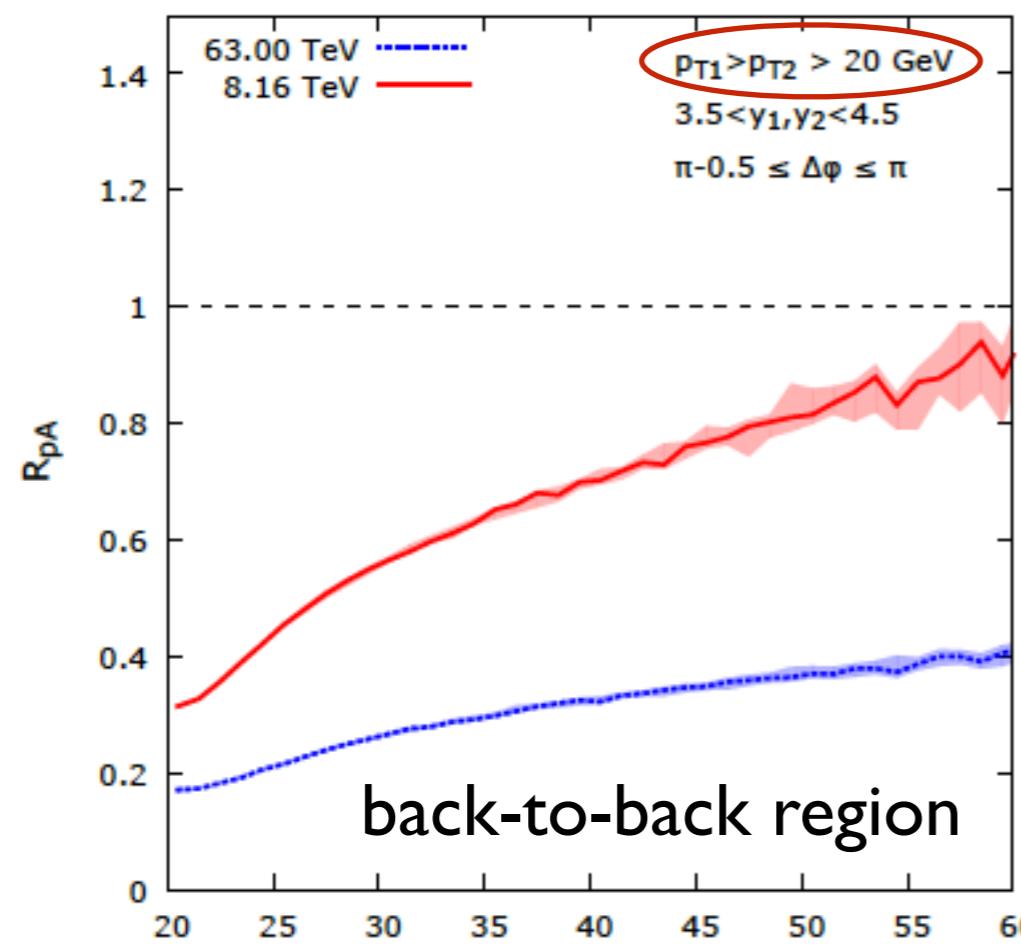


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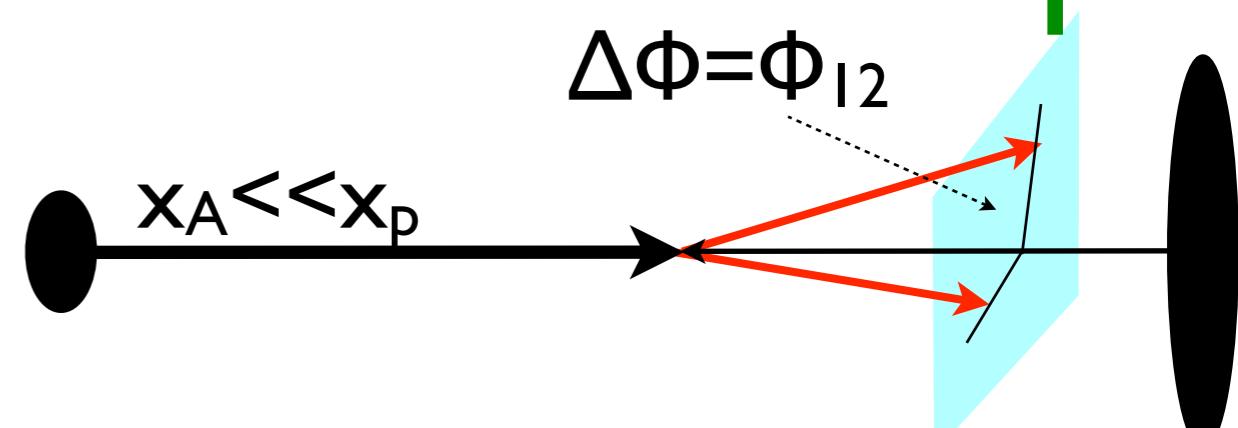
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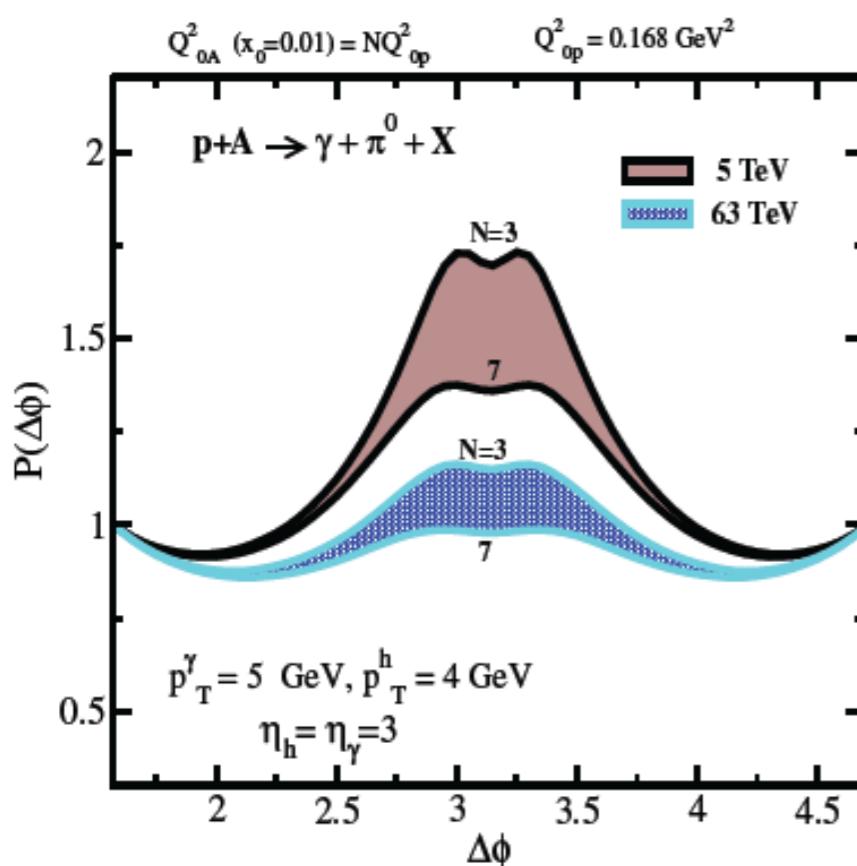
dijet yield modification pPb/pp, anti- k_T , $R=0.5$

Azimuthal decorrelation in eA/pA:

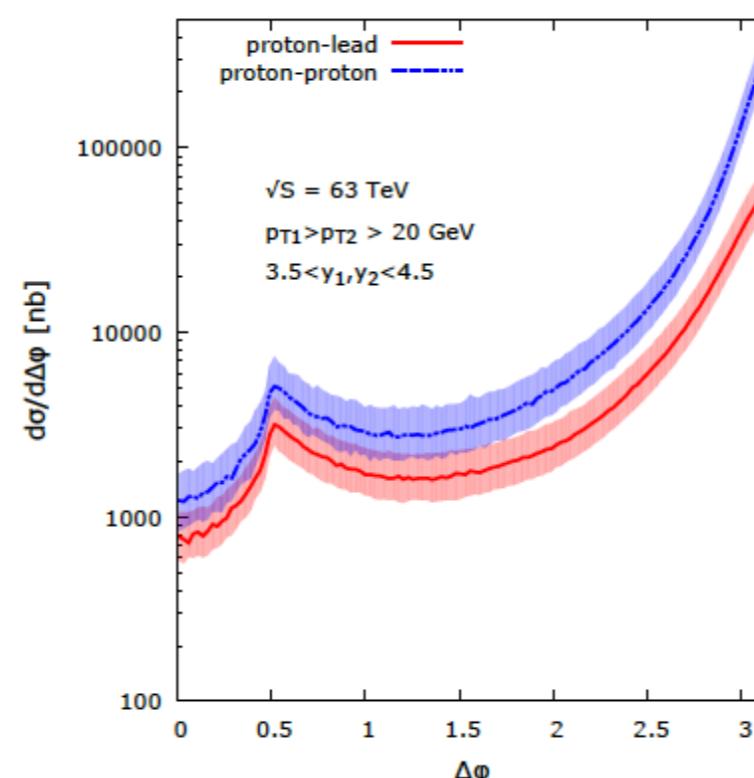
- Dihadron **azimuthal decorrelation**: currently discussed at RHIC as suggestive of saturation.
- To be studied far from kinematical limits.



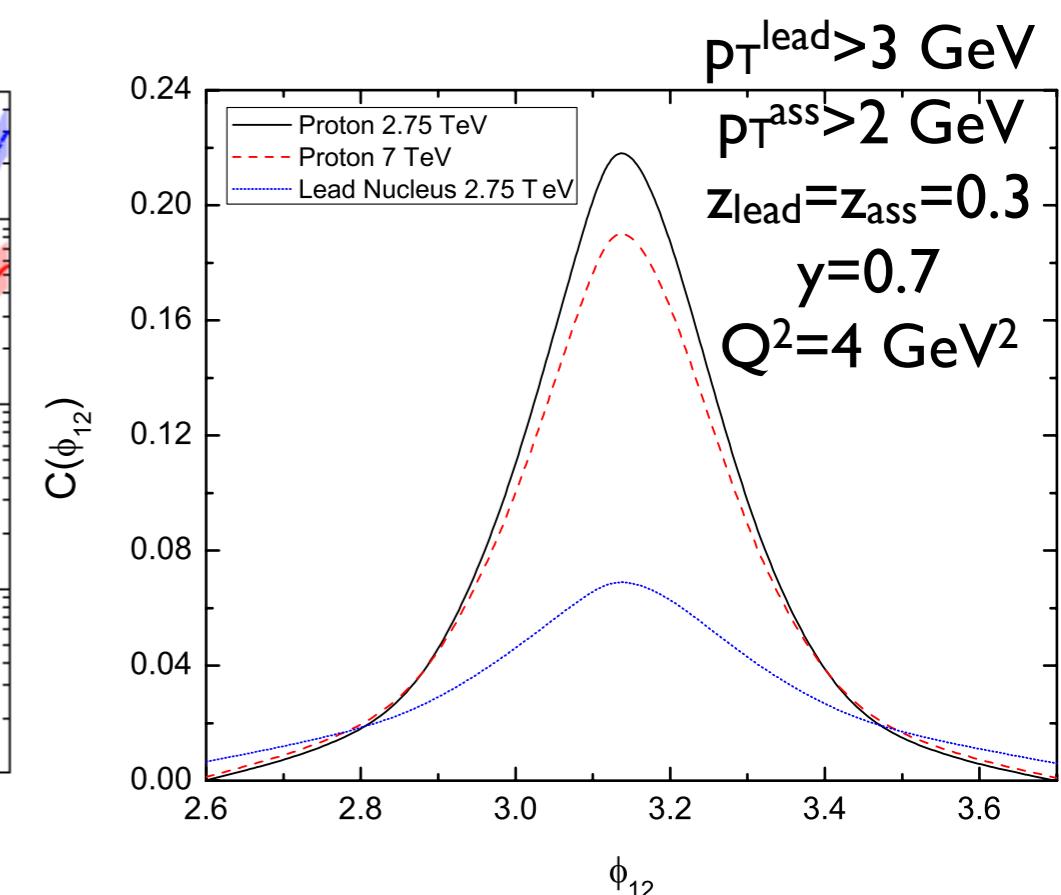
$$C(\phi_{12}) = \frac{1}{\frac{d\sigma(\gamma^* N \rightarrow h_1 X)}{dz_{h1}}} \frac{d\sigma^{\gamma^* N \rightarrow h_1 h_2 + X}}{dz_{h1} dz_{h2} d\phi_{12}}$$



$\gamma\text{-}\pi^0$ in pPb



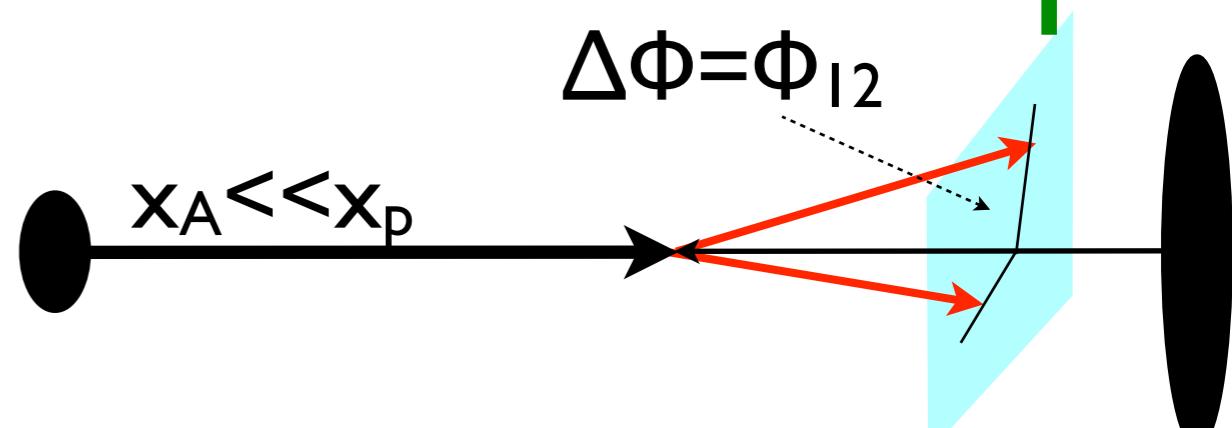
jet-jet in pPb



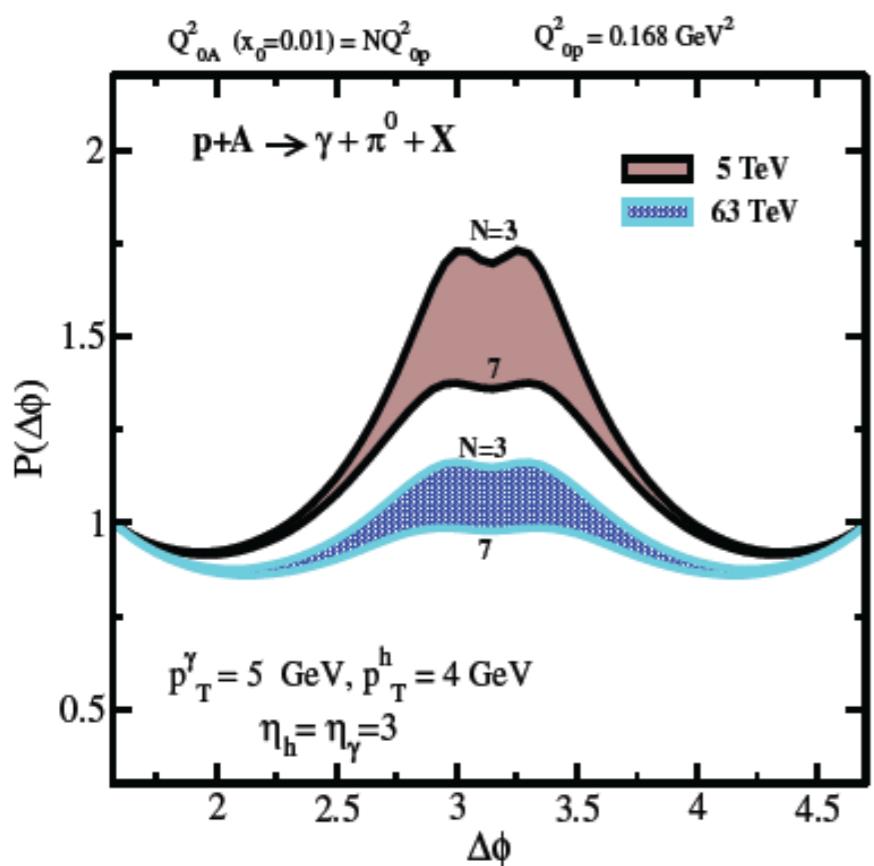
h-h in ePb

Azimuthal decorrelation in eA/pA:

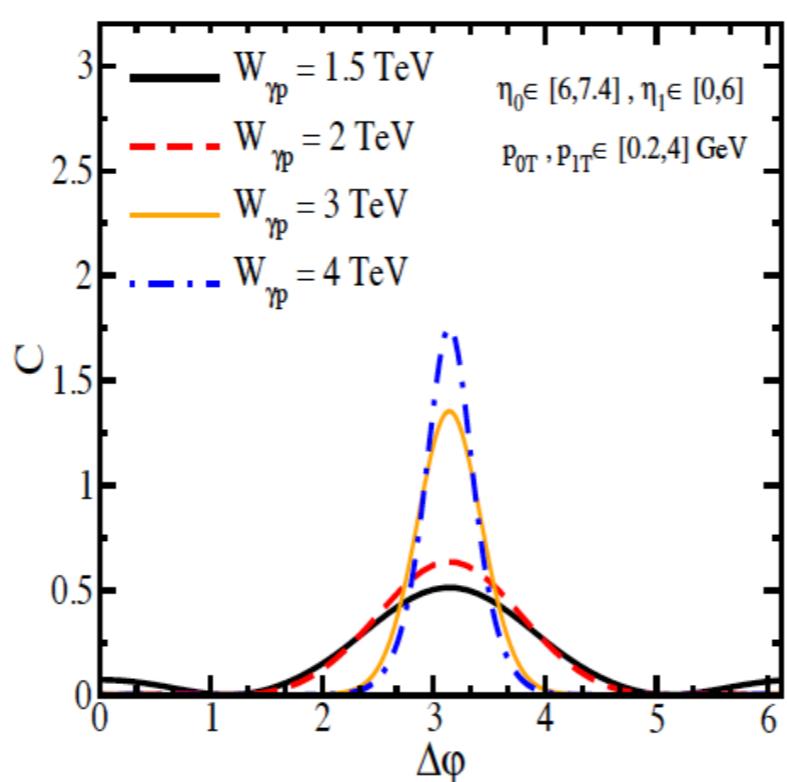
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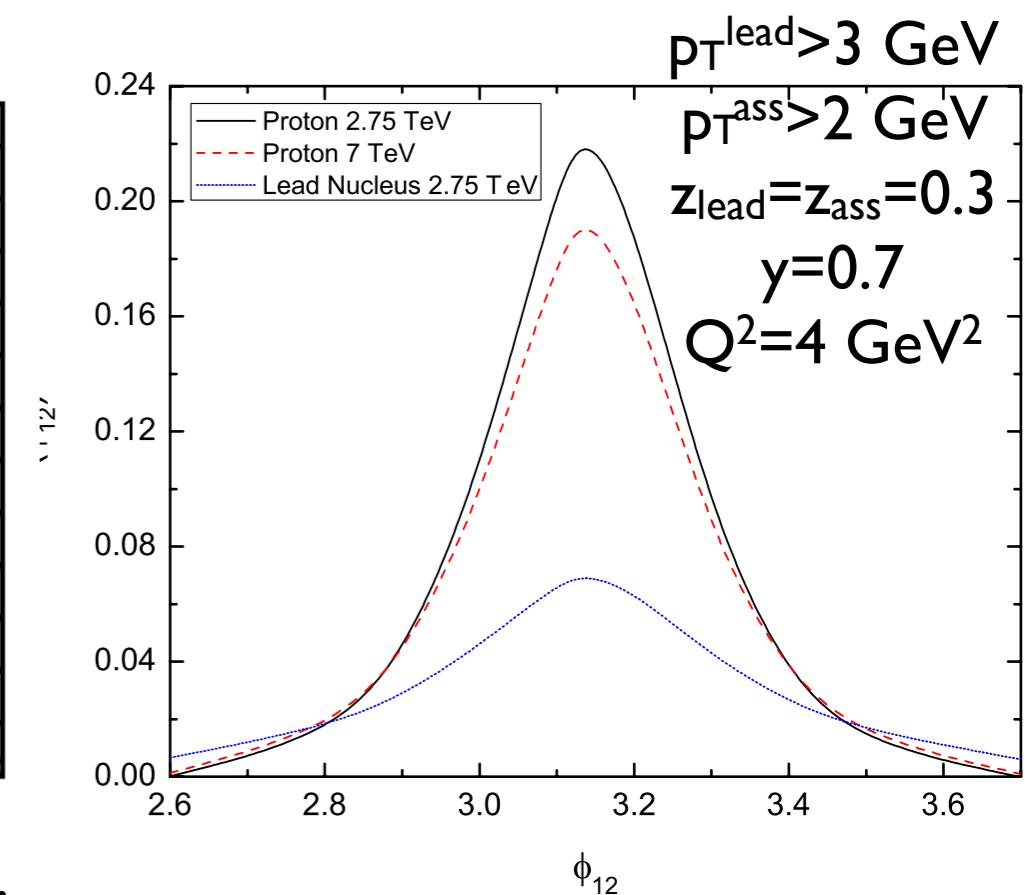
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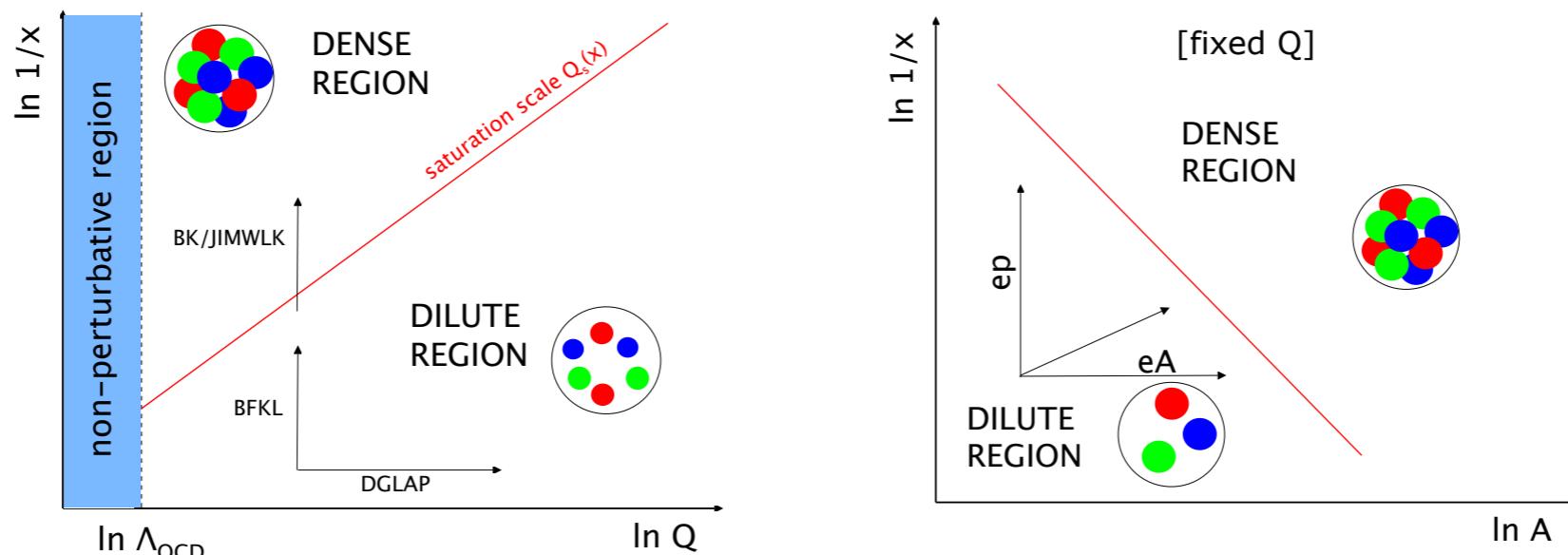
central-forward exclusive
dijets in ep/eA, 1511.07452



h-h in ePb

Summary (I):

- In ep/eA/pA collisions at the FCC:
 - High-precision tests of collinear factorization(s) and determination of PDFs.
 - Unprecedented access to small x in p and A (extension of 4-5 o.f.m.) in the perturbative Q^2 region.
 - Novel sensitivity to physics beyond standard pQCD.
 - Transverse scan of the hadron/nucleus at small x; ...
Detectors should have large rapidity acceptance and, for pA, γ , h and jet ID.
- Unique capabilities, with strong implications for precision in pp/AA.
- The FCC will address the question of saturation/non-linear dynamics. **For that, e, p and A are crucial.**



Summary (II):

- **ep/eA and pp/pA are complementary:**
 - DIS offers fully constrained kinematics and a cleaner theoretical and experimental environment.
 - Hadron collisions extend the kinematic region and test factorisation.
- **To be done:** we must
 - Extend more LHeC studies to the FCC-eh (synergies with the EIC?).
 - Consider the LHC findings and the HL-LHC possibilities.
 - With emphasis on **those aspects that are exclusive of the FCC**: diffraction, GPDs, nPDFs, tensions in the standard collinear framework when non-linear dynamics appears,..., at very small x and perturbative Q^2 .

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- Many thanks to Javier Albacete, Max and Uta Klein, Heikki Mantysaari, Hannu Paukkunen and Amir Rezaeian for sending new calculations, and Paul Newman for suggestions.
- Many thanks to the organisers for the invitation!

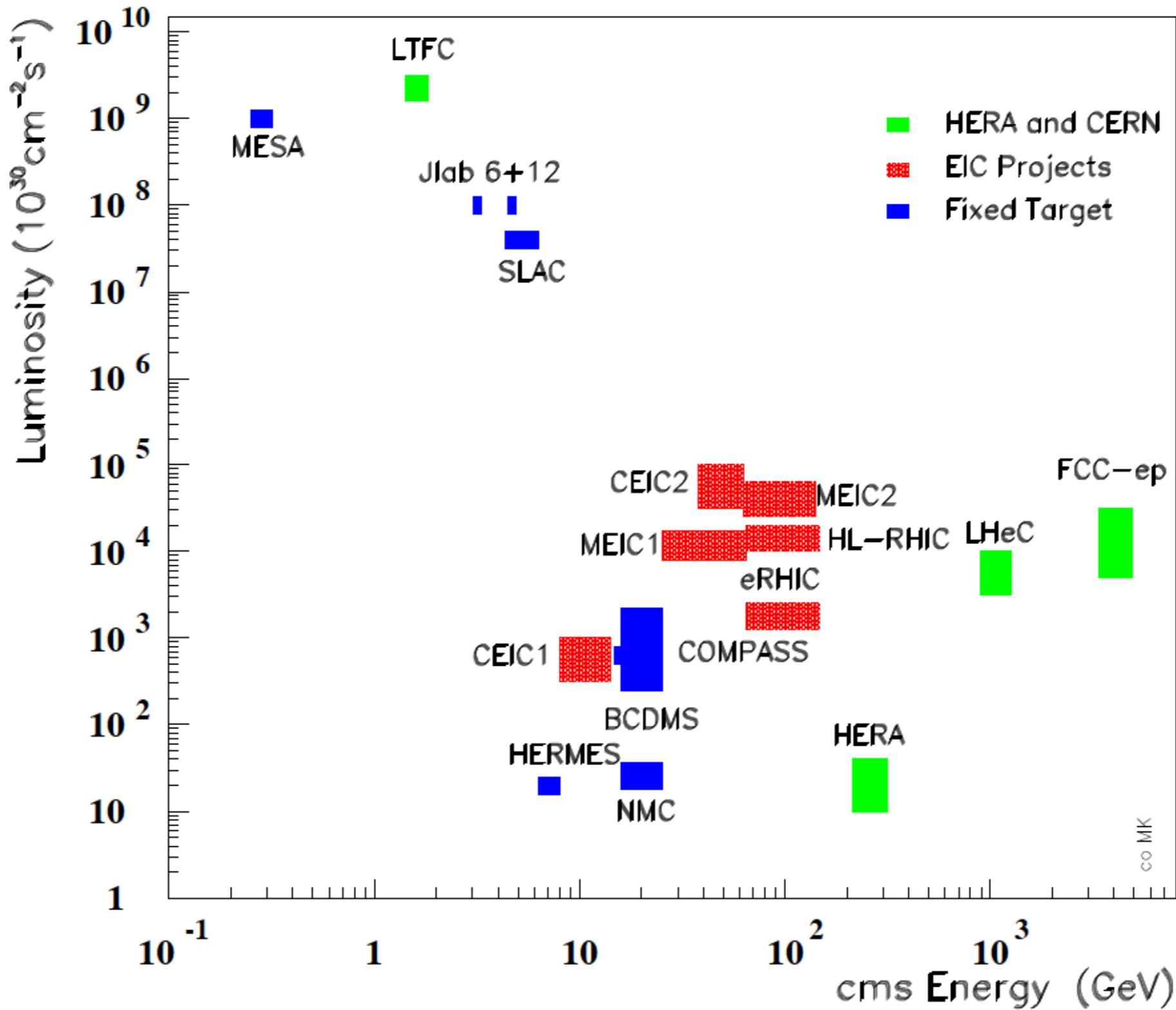
Thank you very much for your attention!!!



Backup:

DIS landscape:

Lepton–Proton Scattering Facilities

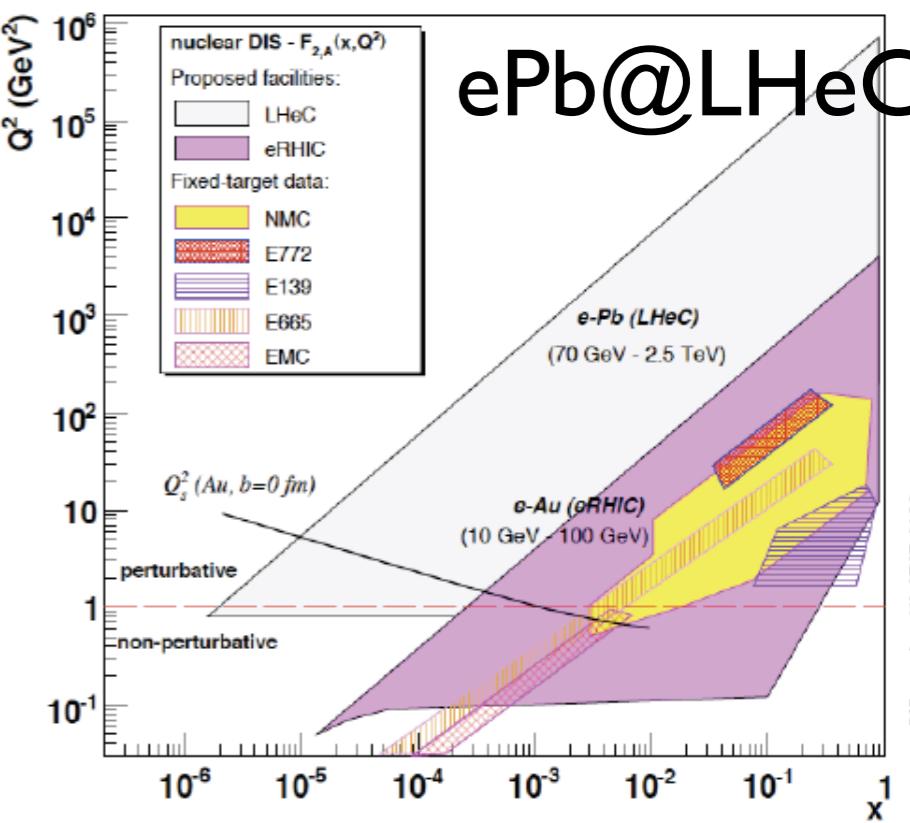
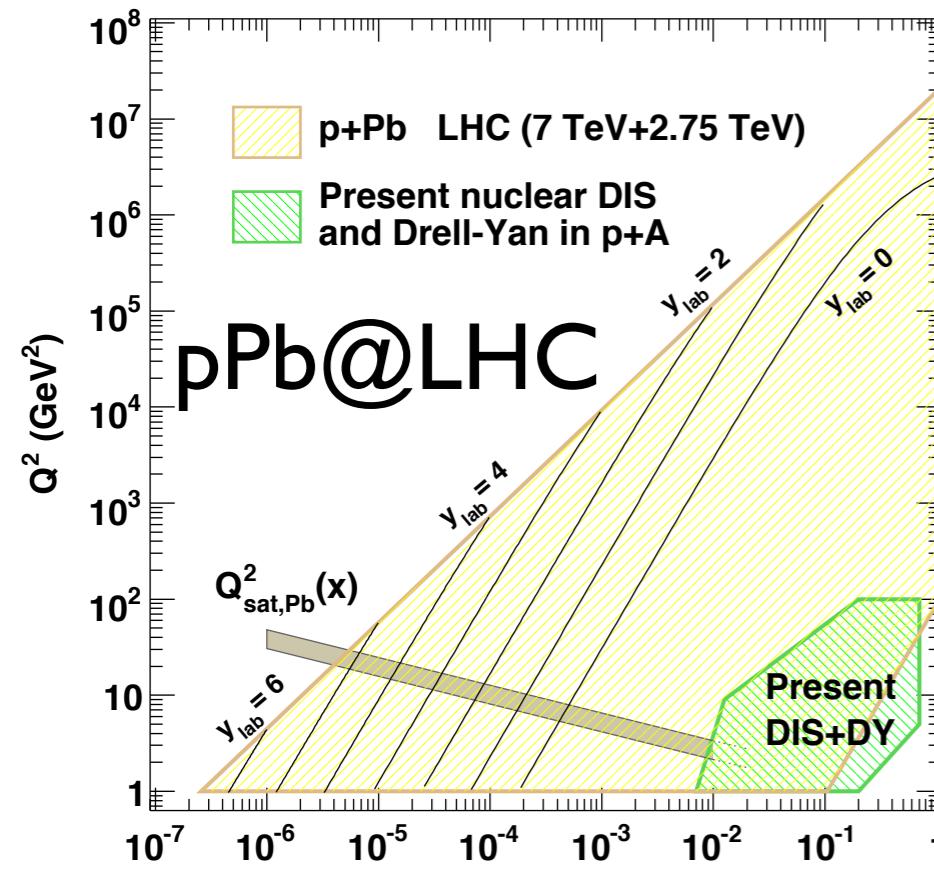
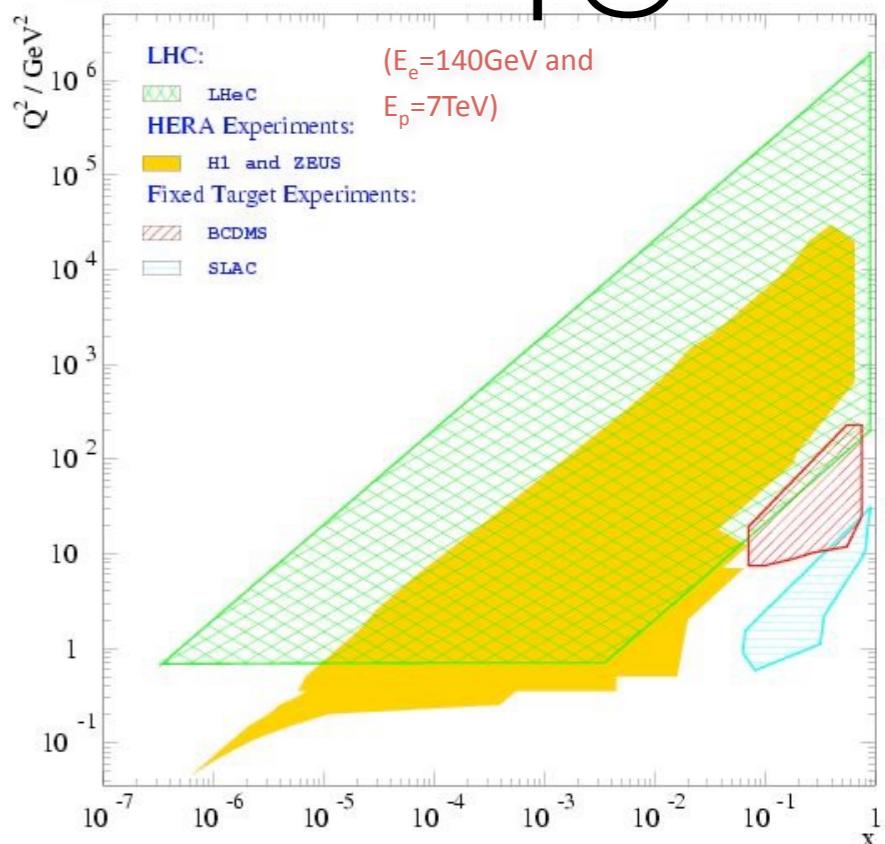
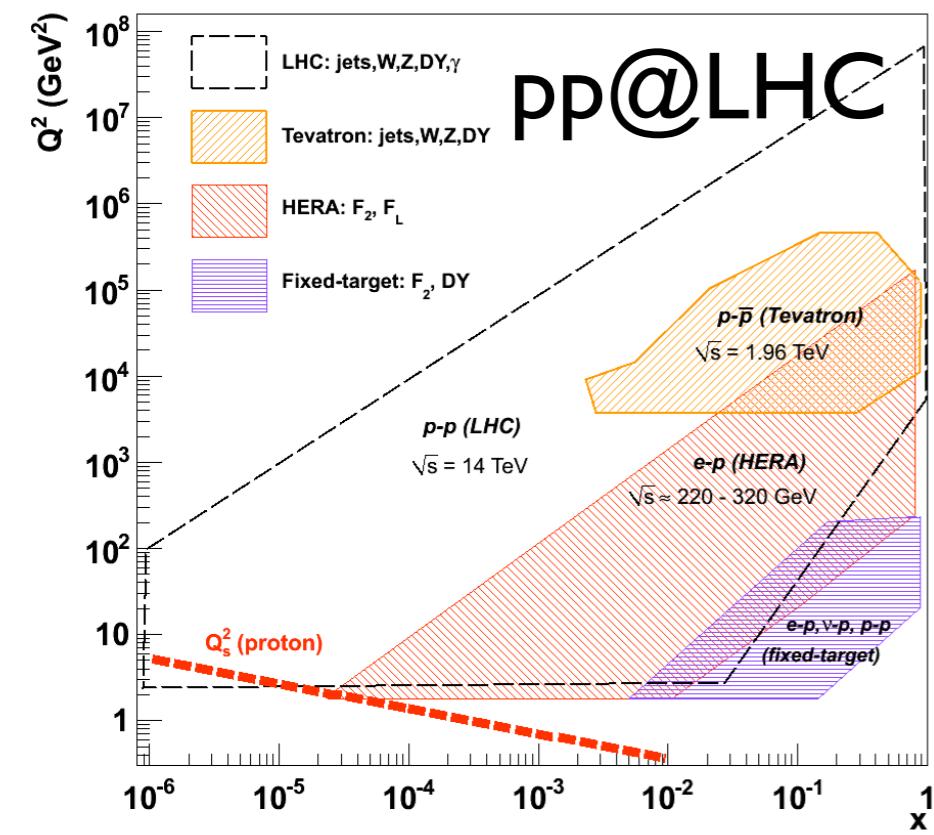


Theory in the non-linear regime:

Item	Order	Theory	Pheno-menology	Comments
Evolution eqns.	NLO	✓	~	rcBK and resummations; dilute-dense approx.
DIS impact factor	NLO	✓	✗ at NLO	dilute-dense approx.
Hadrons at $y \sim 0$	LO	✓	✓	q and Q , dilute-dense approx.
Forward hadrons	NLO	✓	✓	q and Q , hybrid formalism
Quarkonium at $y \sim 0$	LO	✓	✓	dilute-dense approx.+NRQCD
Forward quarkonium	LO	✓	✓	hybrid formalism
$\gamma^{(*)}$ at $y \sim 0$	NLO	✓	✗ at NLO	dilute-dense approx., not yet DY at NLO
Forward $\gamma^{(*)}$	LO	✓	✓	hybrid formalism
Dijets at $y \sim 0$	LO	✓	✓	dilute-dense approx., partial NLO
Forward dijets	LO	✓	✓	hybrid formalism and high-energy factorisation, partial NLO
Diffractive dijets	NLO	✓	✗ at NLO	dilute-dense approx.
g-g/q-q correlations	LO	✓	✓/✗	glasma graph approx.

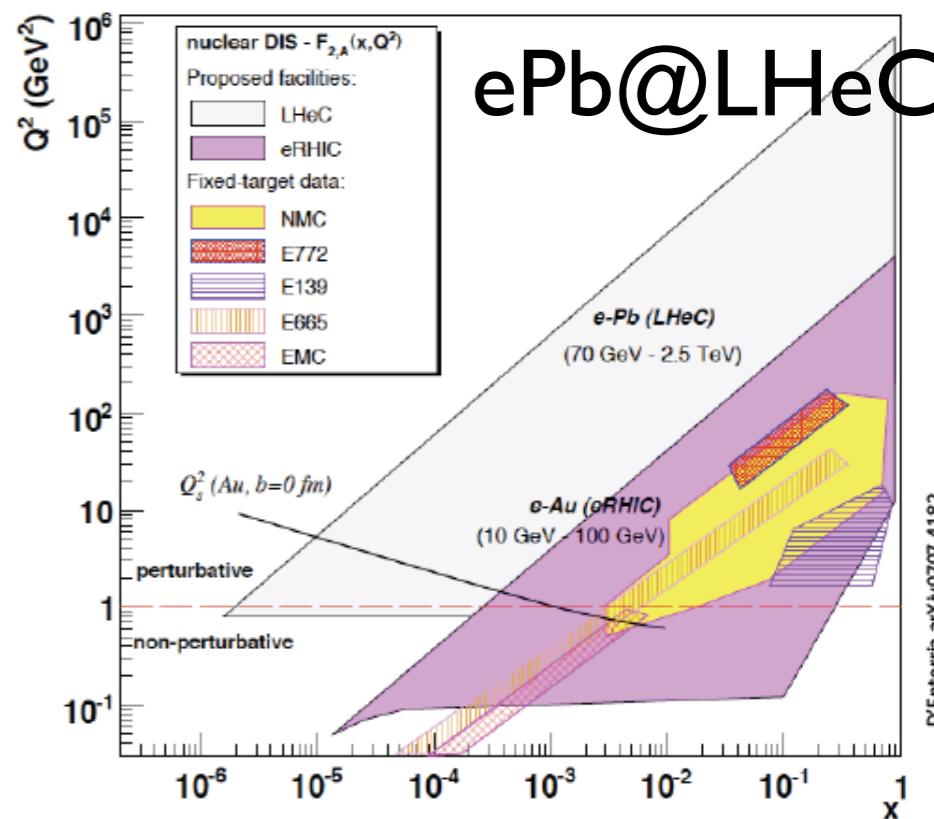
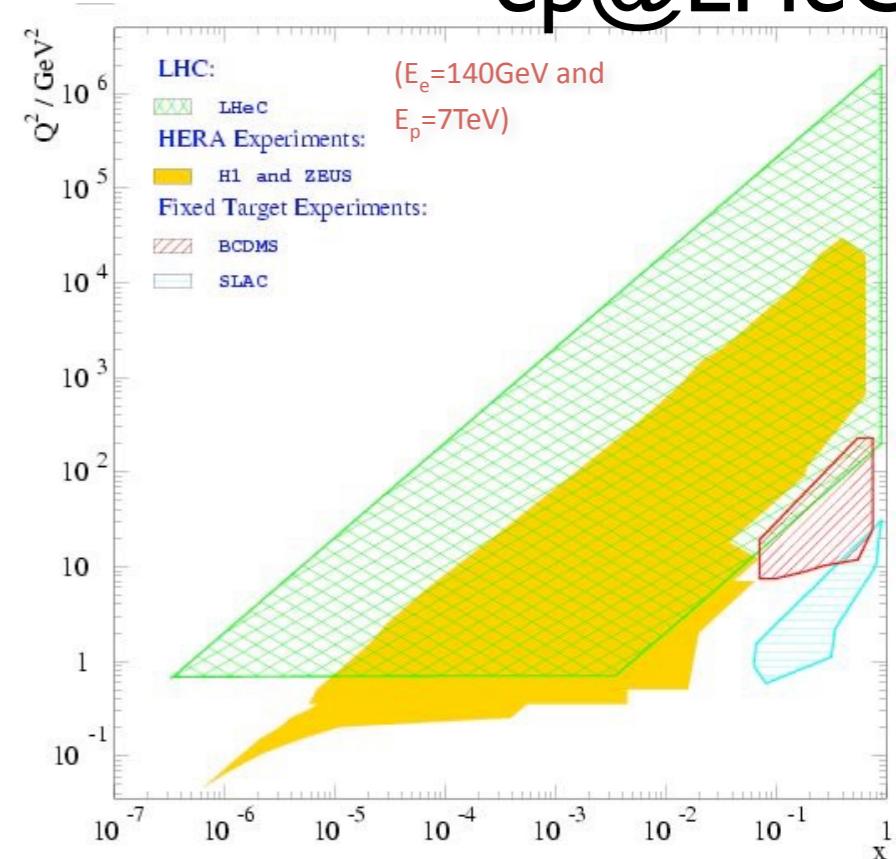
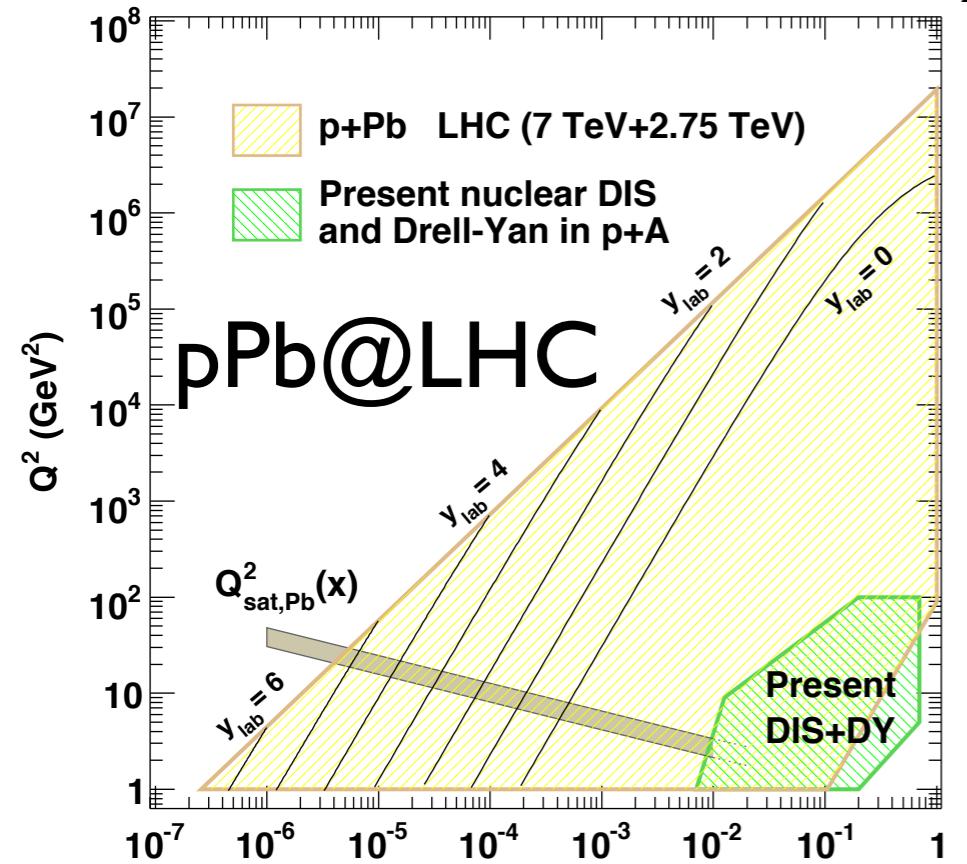
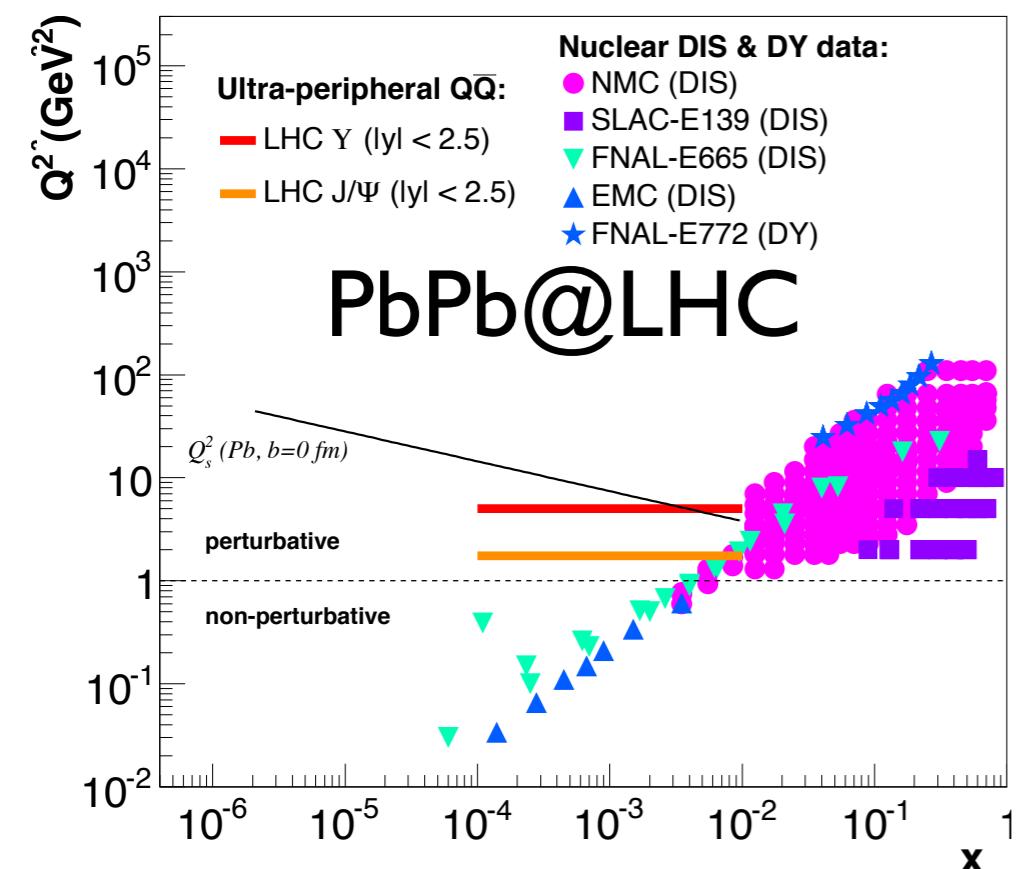
LHC vs. LHeC:

ep@LHeC



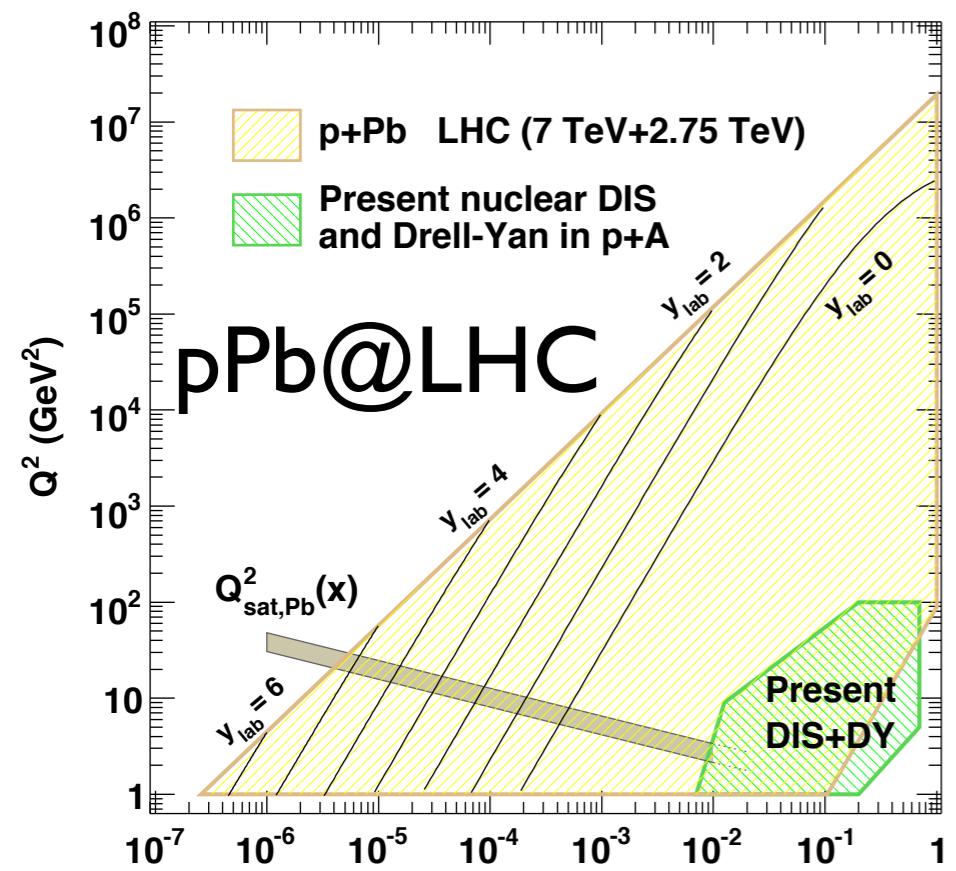
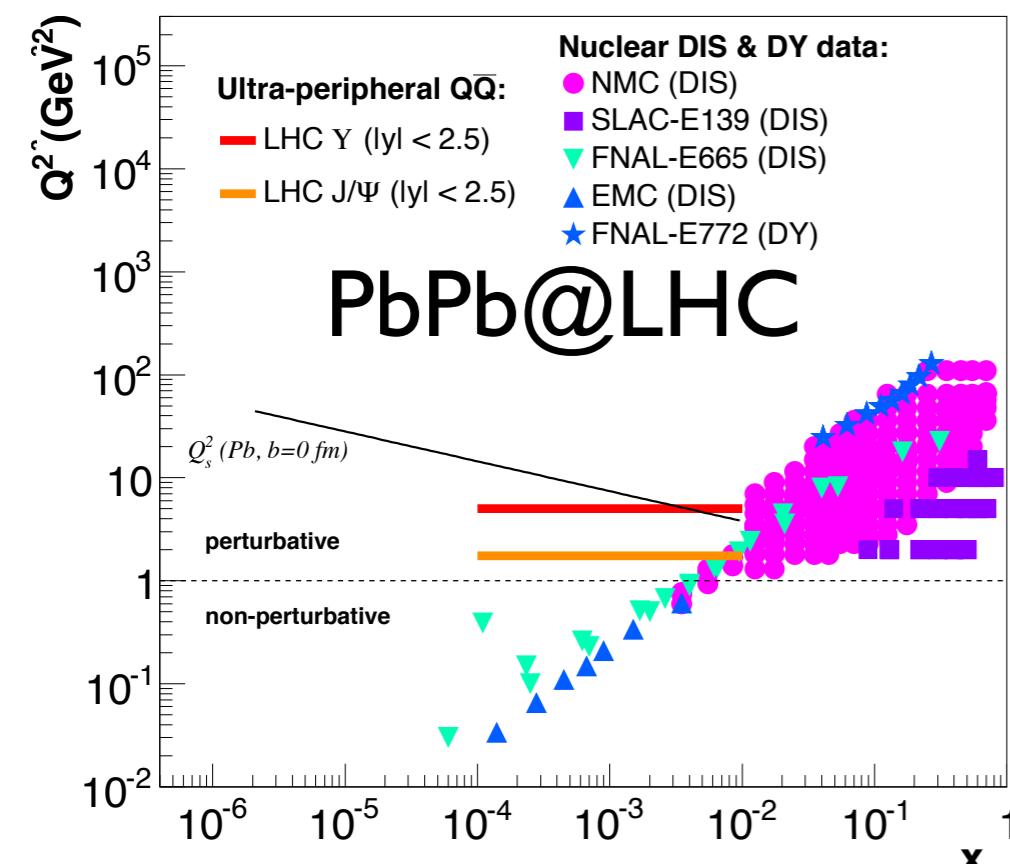
LHC vs. LHeC:

ep@LHeC

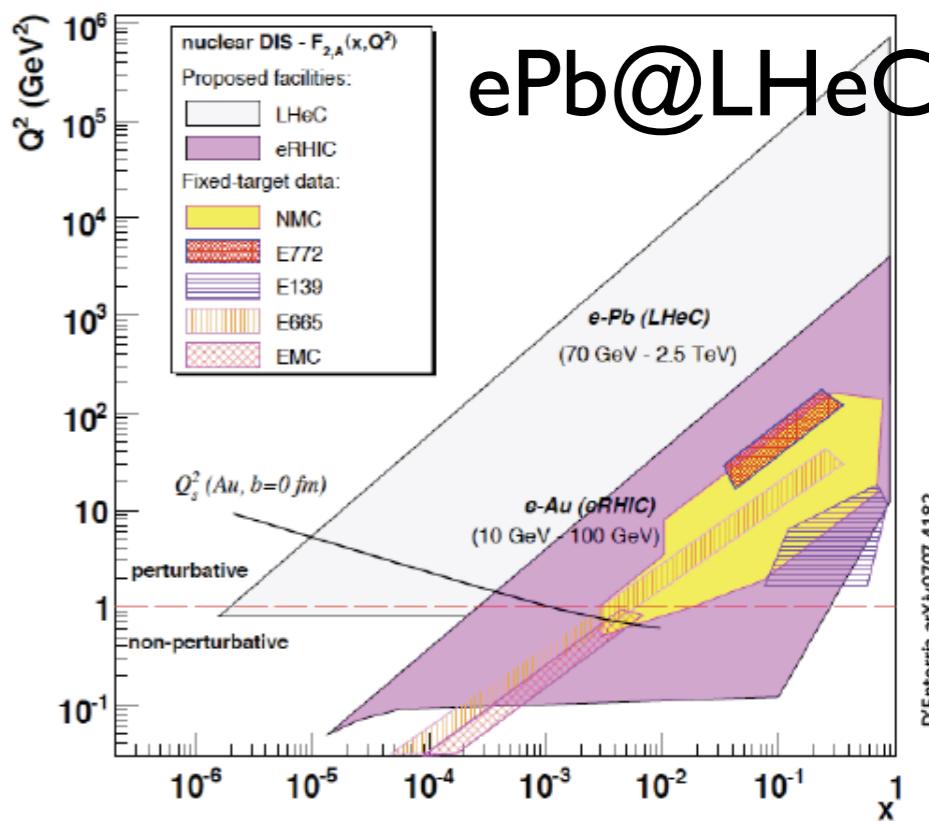
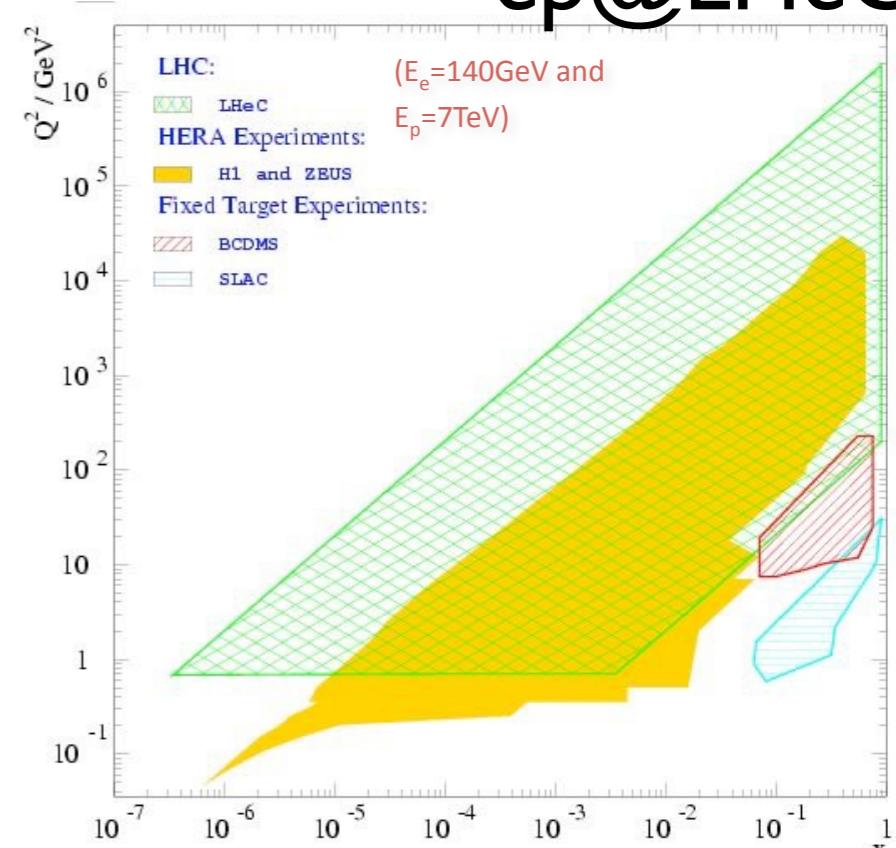


LHC vs. LHeC:

ep@LHeC

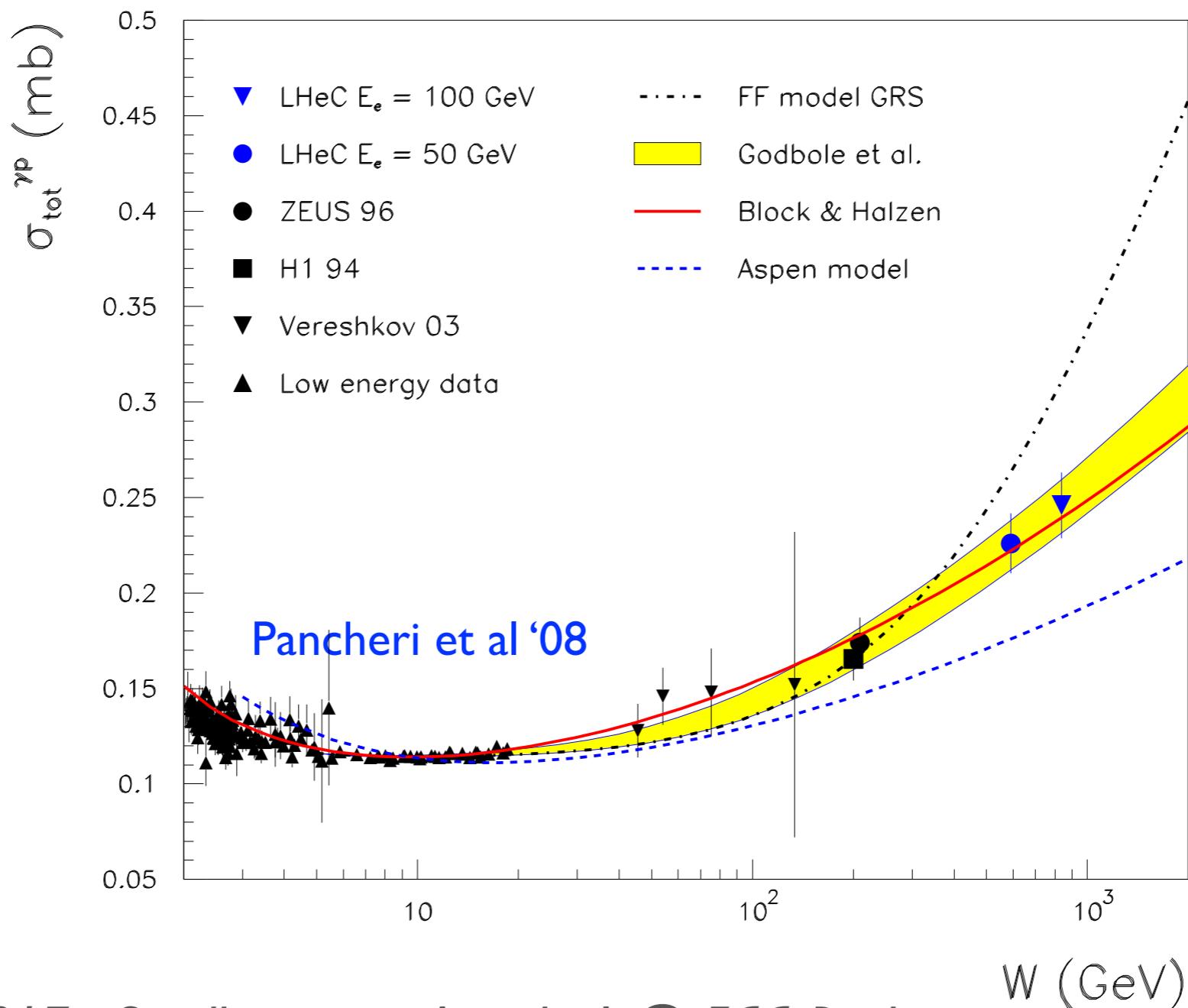


- The LHeC will explore a region overlapping with the LHC:
- in a cleaner experimental setup;
- on firmer theoretical grounds.

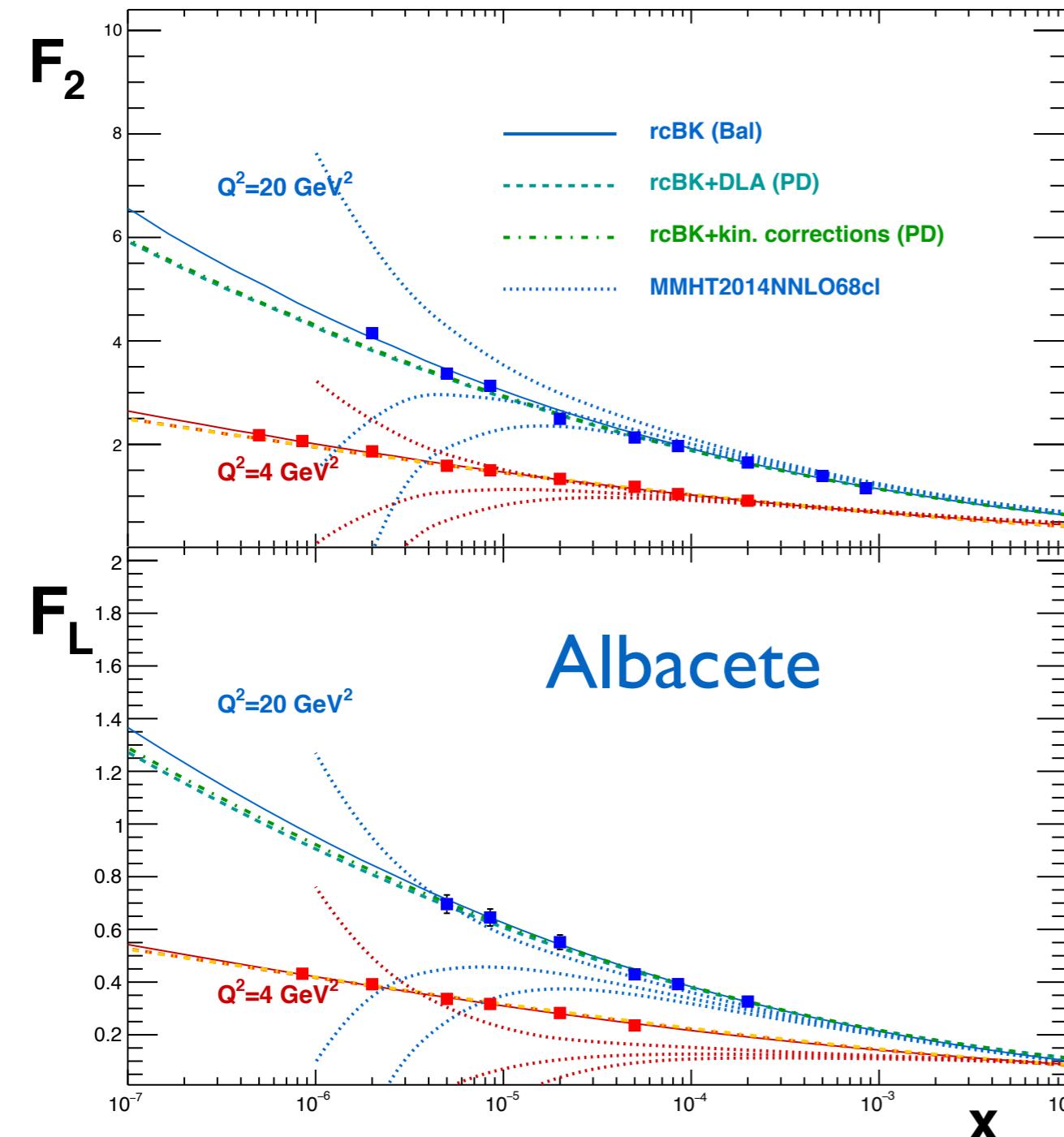


Photoproduction cross section:

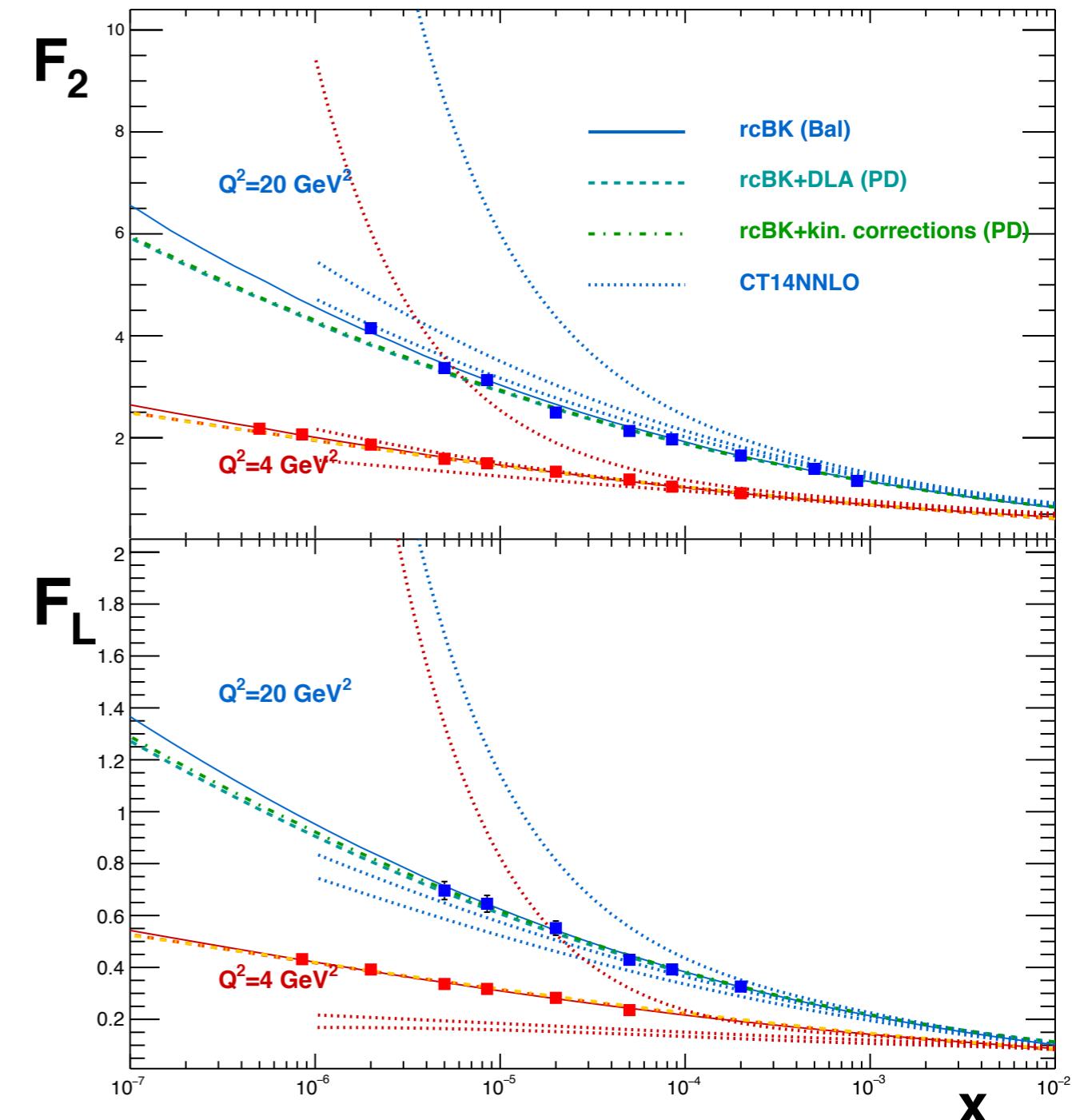
- Small angle electron detector 62 m far from the interaction point: $Q^2 < 0.01 \text{ GeV}^2, y \sim 0.3 \Rightarrow W \sim 0.5 \sqrt{s}$.
- Substantial enlarging of the lever arm in W .



Structure functions:



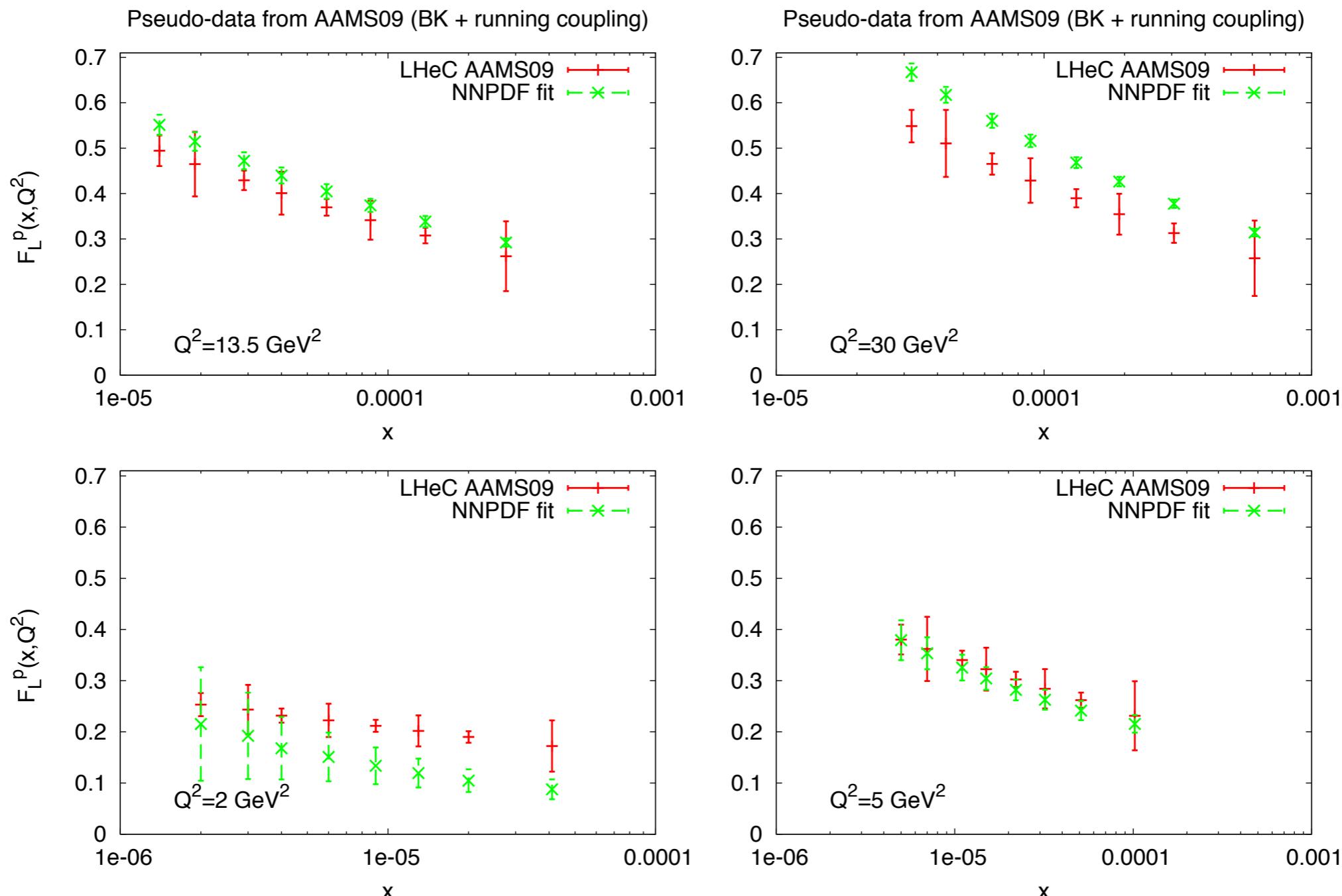
Albacete



- F_2 and F_L data will have discriminatory power on models.

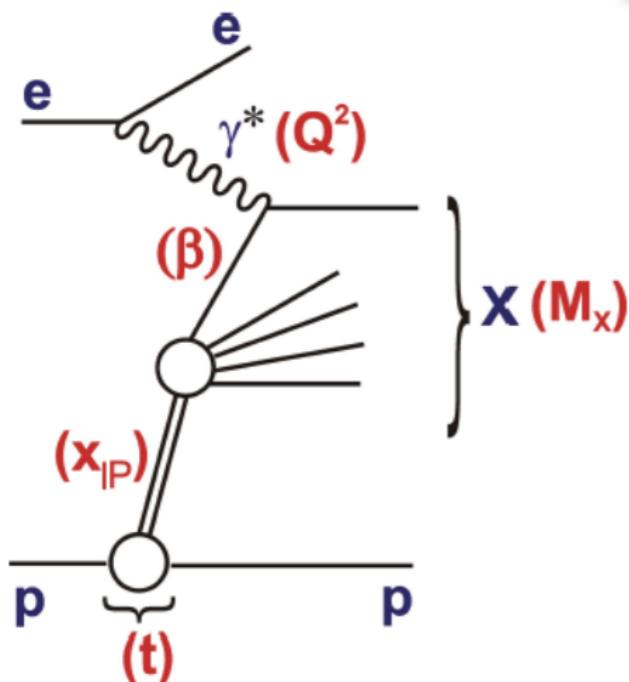
Structure functions:

DGLAP cannot simultaneously accommodate F_2 and F_L data if saturation effects are included according to current models:
 F_2 and F_L at the FCC will provide a decisive test of small- x QCD.



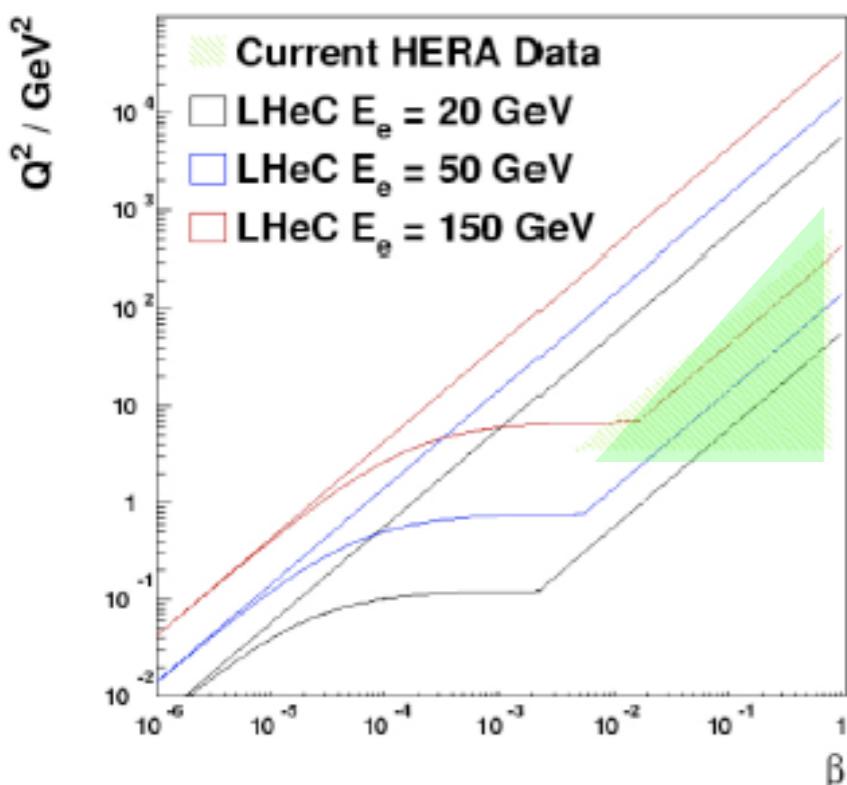
S.

Diffraction in ep:

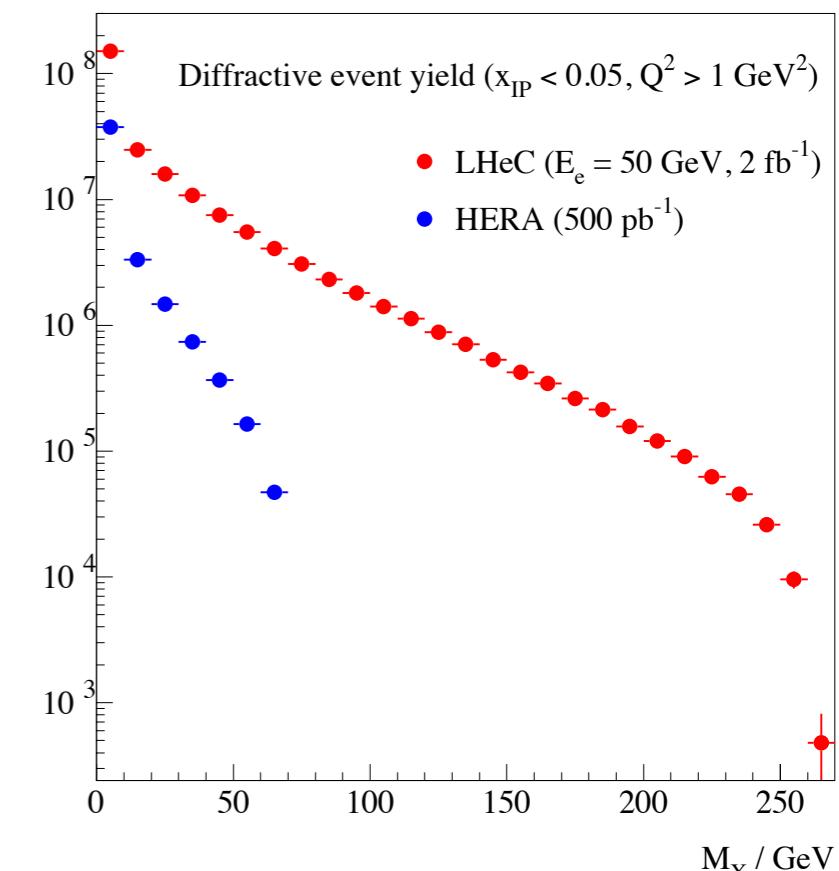
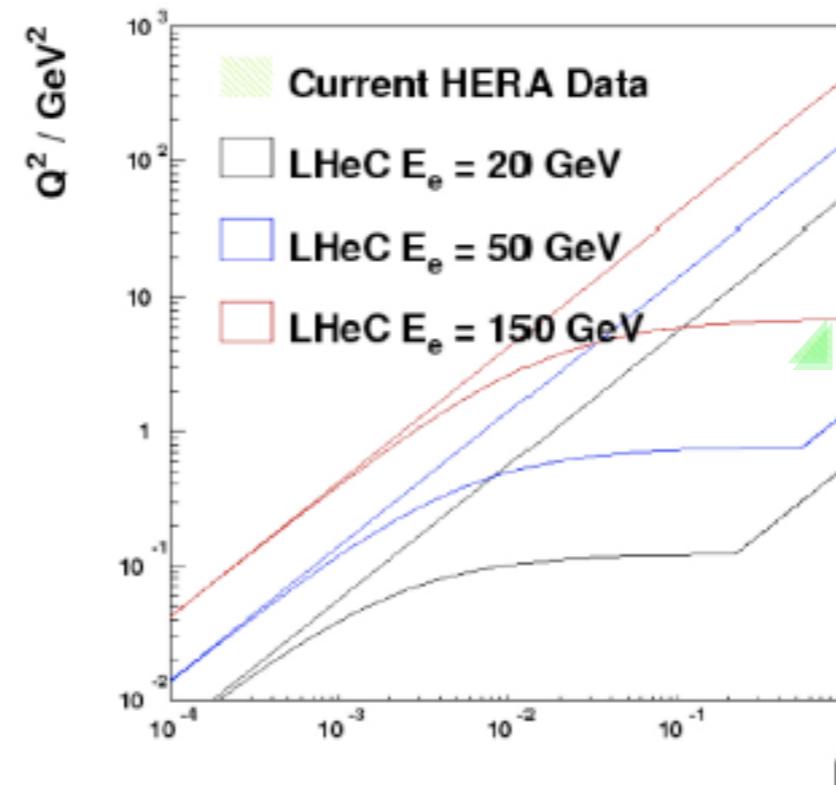


- Large increase in the M^2 (diffractive heavy states up to ~ 0.5 TeV), $x_P = (M^2 - t + Q^2) / (W^2 + Q^2)$, $\beta = x/x_P$ region studied.
- Possibility to combine rapidity gap and proton tagging.
- Precise determination of DPDFs.

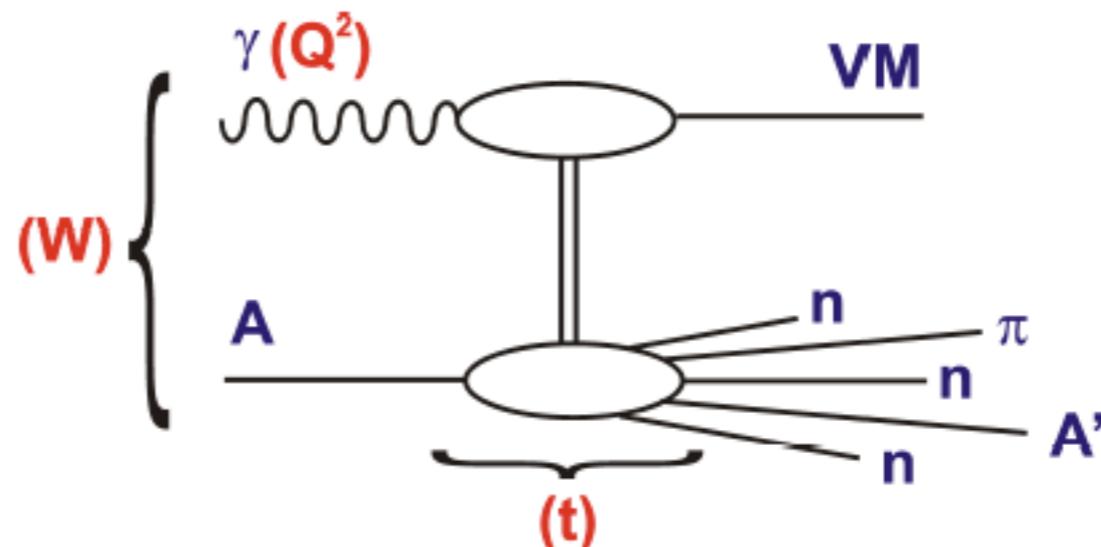
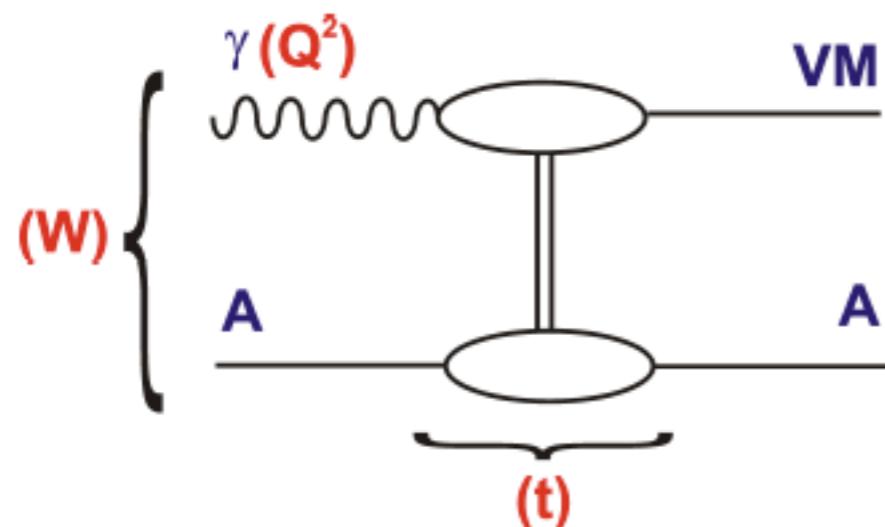
Diffractive Kinematics at $x_{IP}=0.01$



Diffractive Kinematics at $x_{IP}=0.0001$

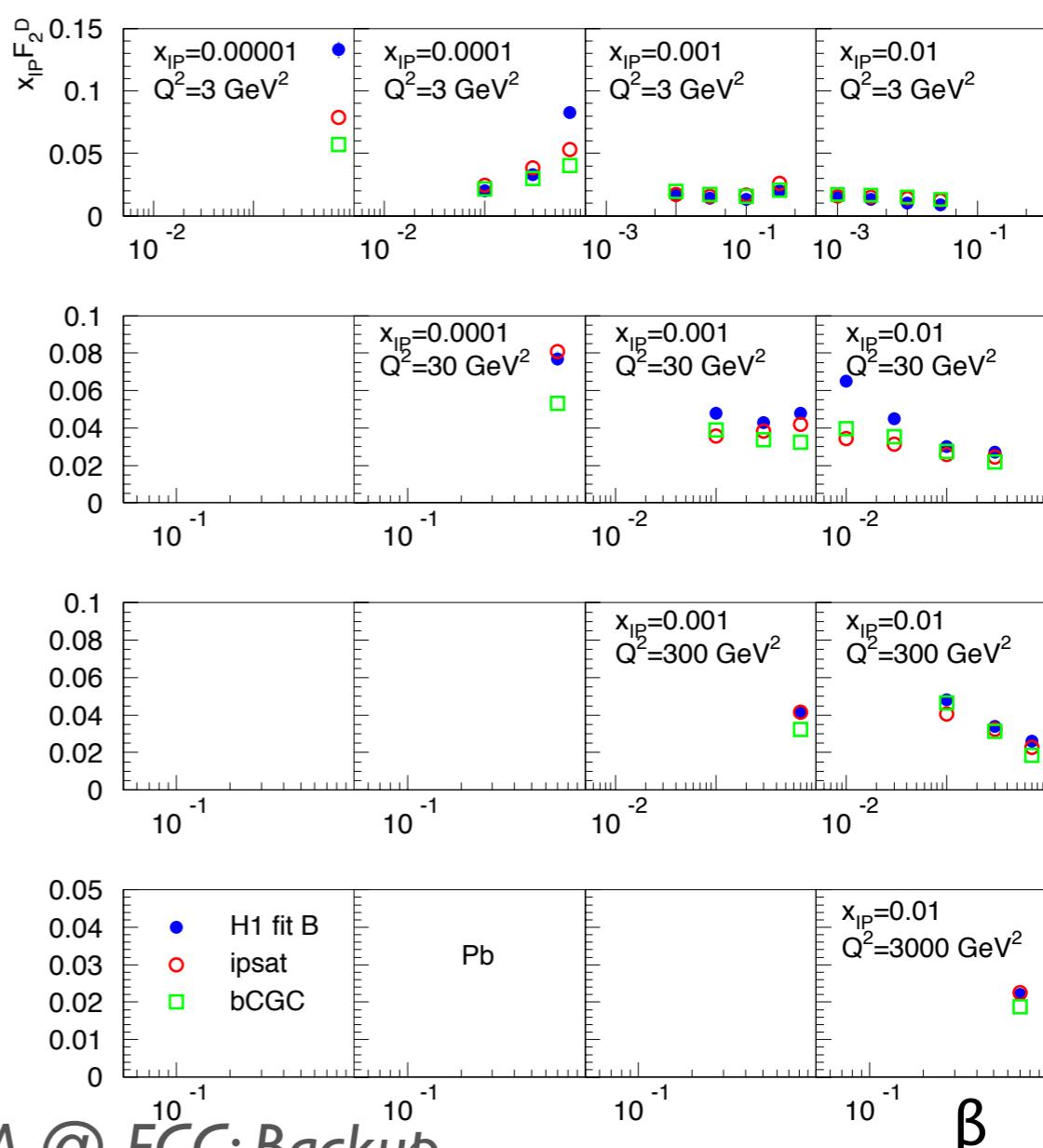


Diffractive DIS on nuclear targets:



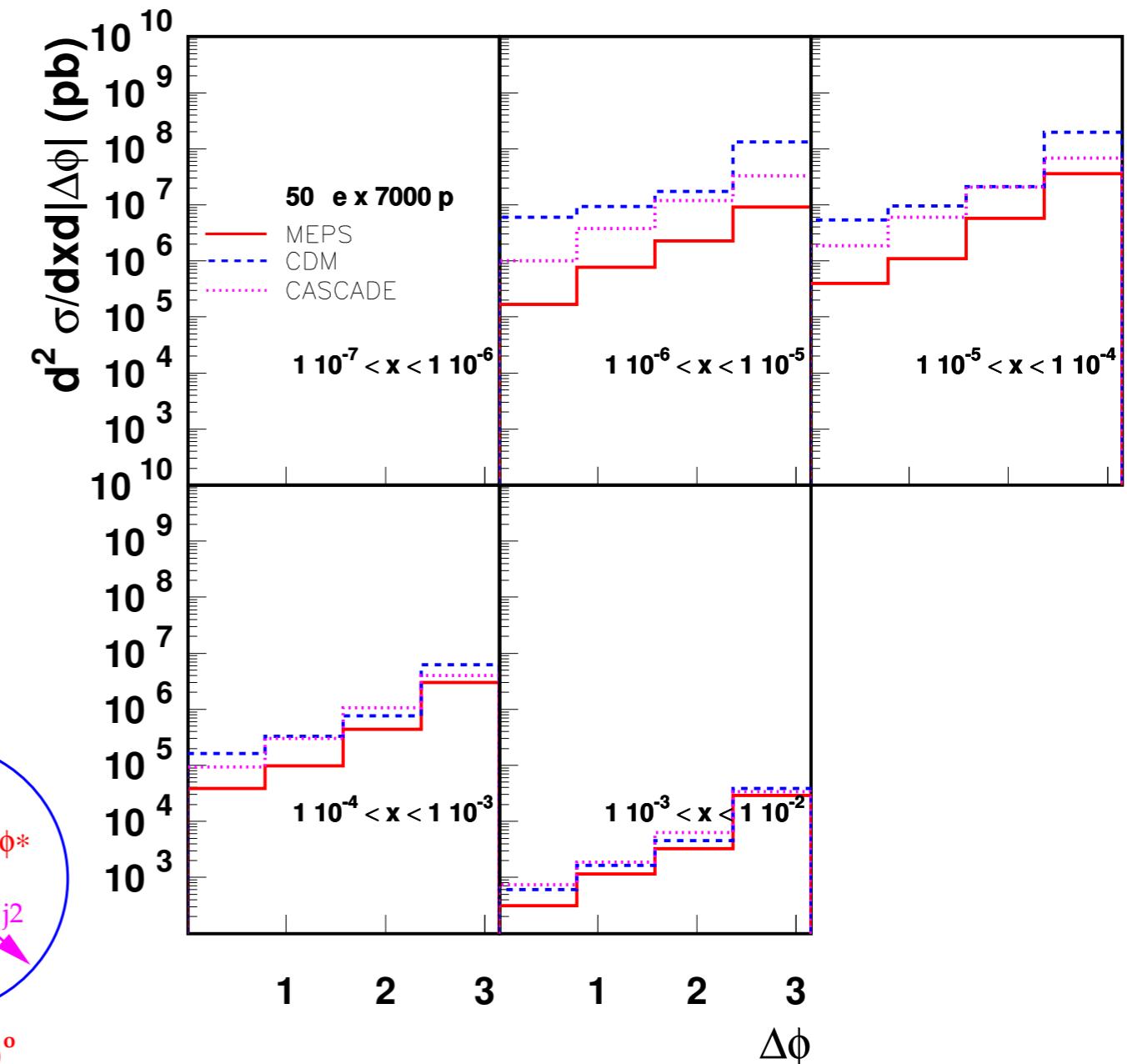
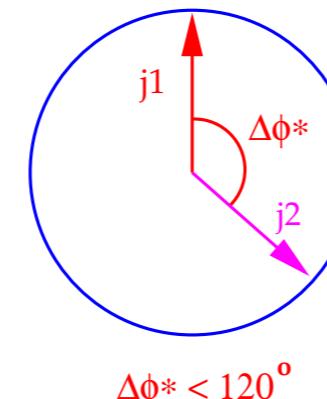
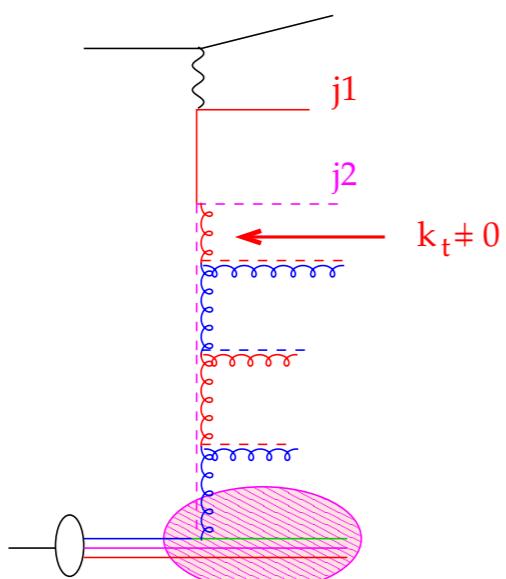
- Challenging experimental problem, requires Monte Carlo simulation with detailed understanding of the nuclear break-up.

- For the coherent case, predictions available.



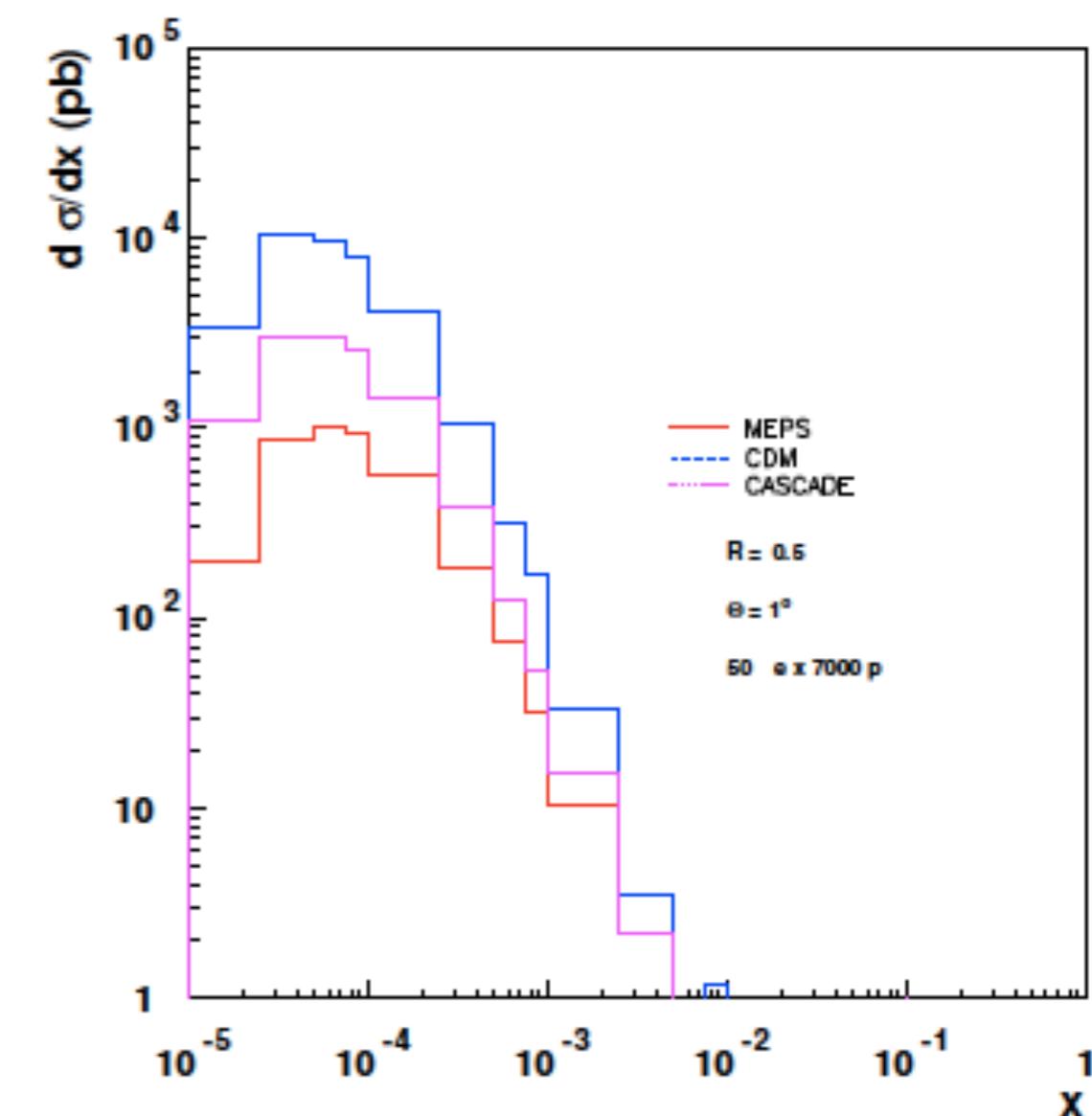
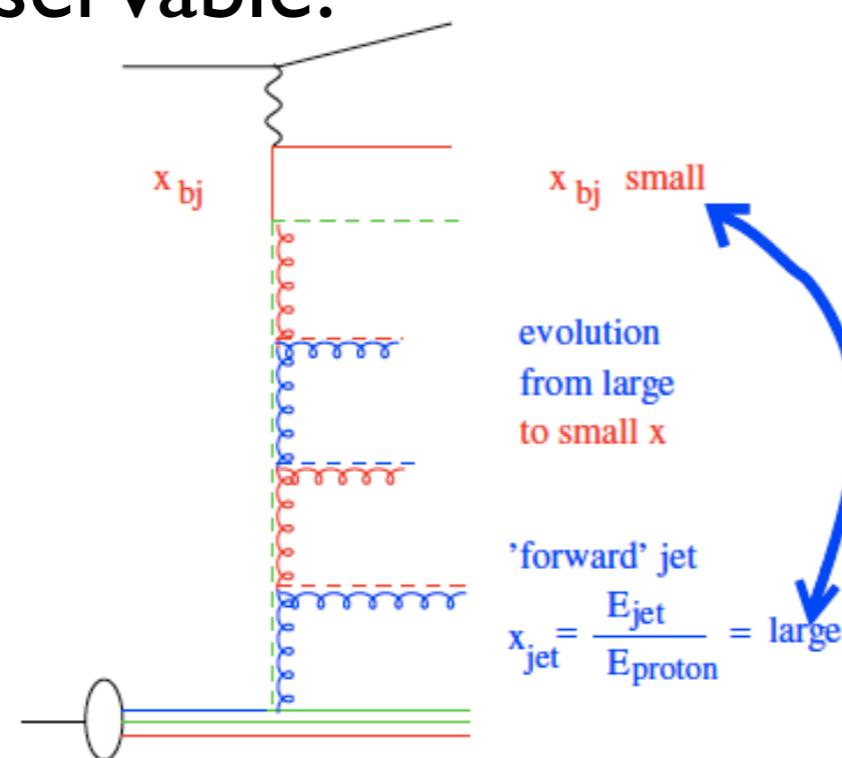
Dijet azimuthal decorrelation:

- Studying **dijet azimuthal decorrelation** or forward jets ($p_T \sim Q$) would allow to understand the mechanism of radiation:
 - k_T -ordered: DGLAP.
 - k_T -disordered: BFKL.
 - Saturation?
- Further imposing a rapidity gap (diffractive jets) would be most interesting: perturbatively controllable observable.



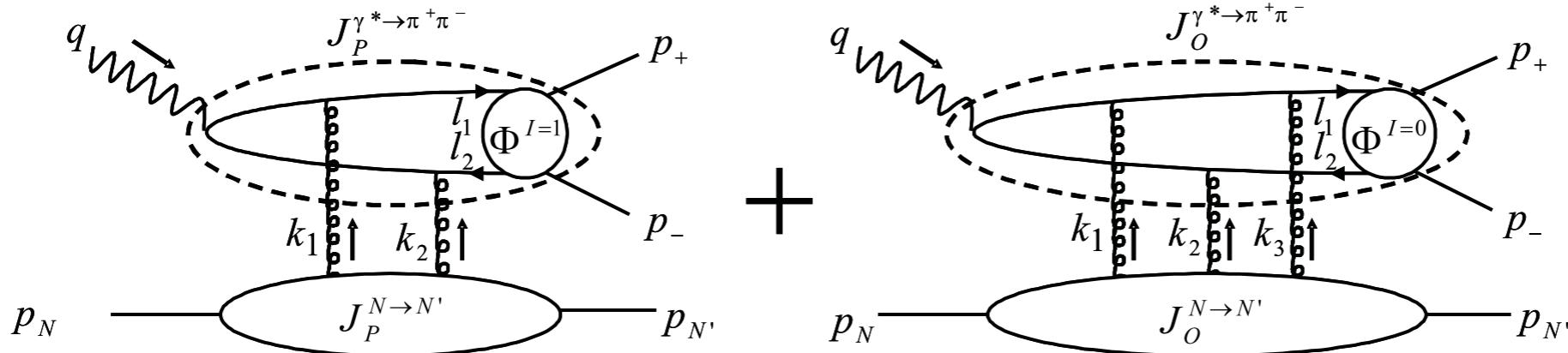
Forward jets:

- Studying dijet azimuthal decorrelation or **forward jets** ($p_T \sim Q$) would allow to understand the mechanism of radiation:
 - k_T -ordered: DGLAP.
 - k_T -disordered: BFKL.
 - Saturation?
- Further imposing a rapidity gap (diffractive jets) would be most interesting: perturbatively controllable observable.



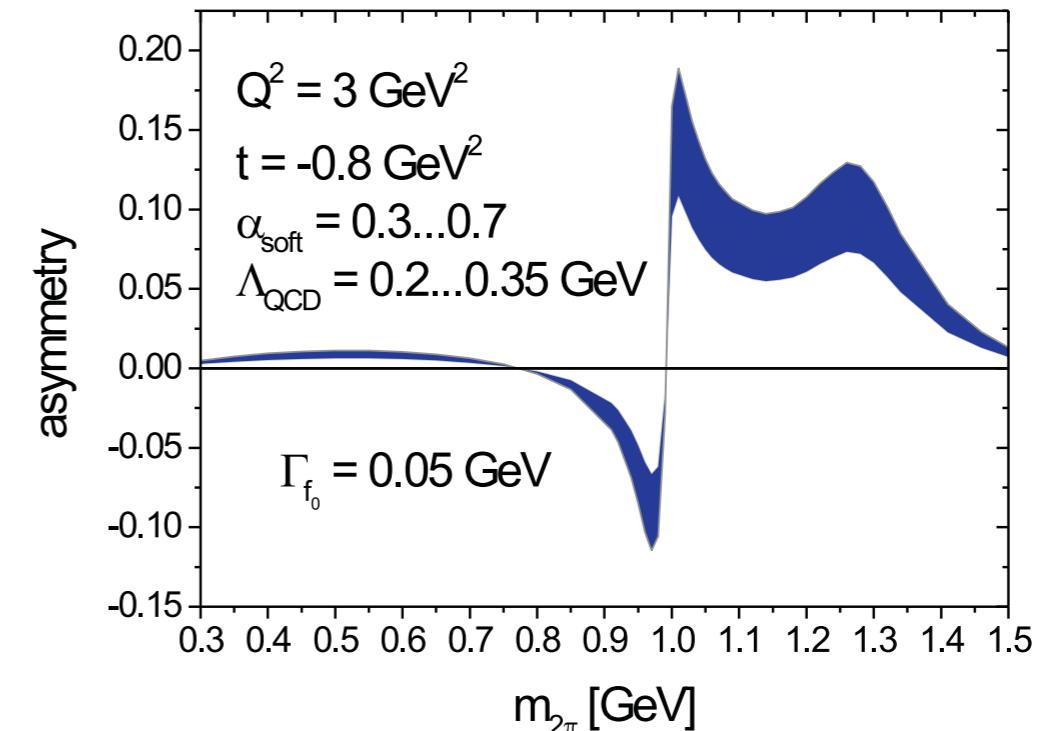
Odderon:

- **Odderon** (C-odd exchange contributing to particle-antiparticle difference in cross section) searched in $\gamma^{(*)} p \rightarrow Cp$, where $C = \pi^0, \eta, \eta', \eta_c \dots$ or through O-P interferences.



$$A(Q^2, t, m_{2\pi}^2) = \frac{\int \cos \theta d\sigma(W^2, Q^2, t, m_{2\pi}^2, \theta)}{\int d\sigma(W^2, Q^2, t, m_{2\pi}^2, \theta)} = \frac{\int_{-1}^1 \cos \theta d\cos \theta 2 \operatorname{Re} [\mathcal{M}_P^{\gamma^*} (\mathcal{M}_O^{\gamma^*})^*]}{\int_{-1}^1 d\cos \theta [|\mathcal{M}_P^{\gamma^*}|^2 + |\mathcal{M}_O^{\gamma^*}|^2]}$$

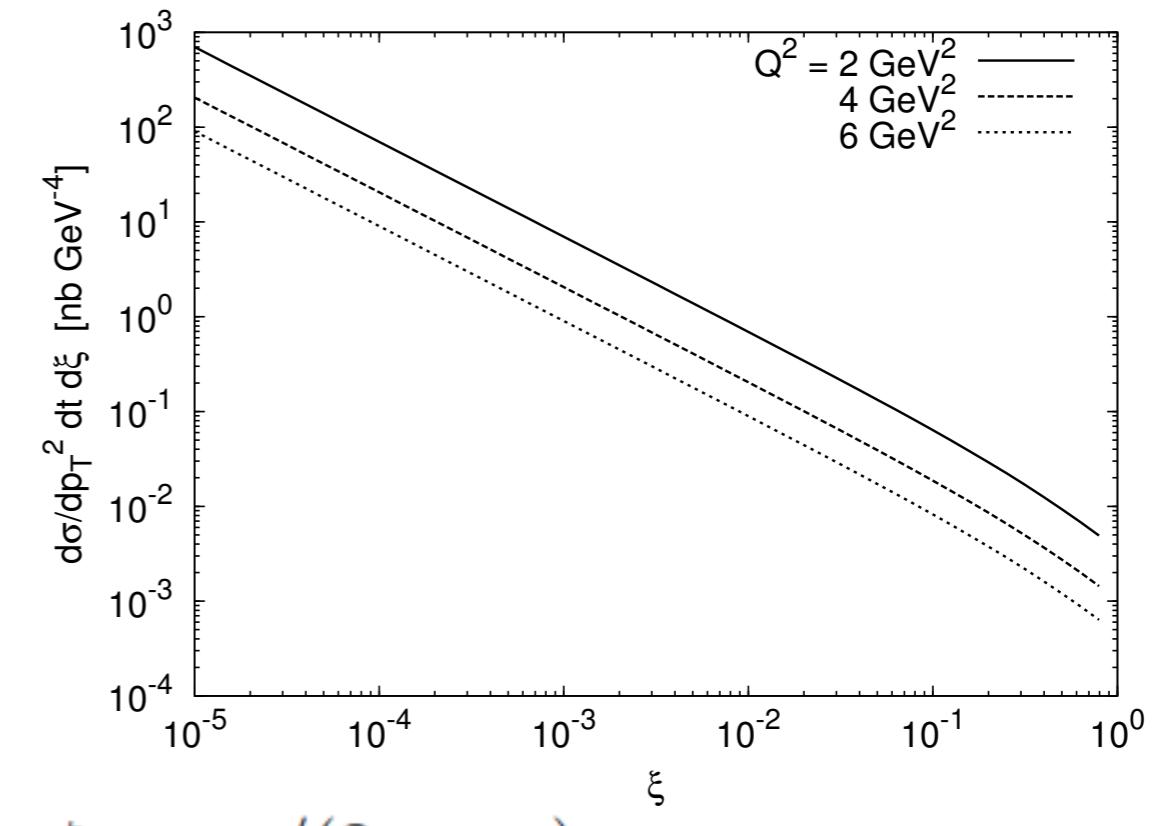
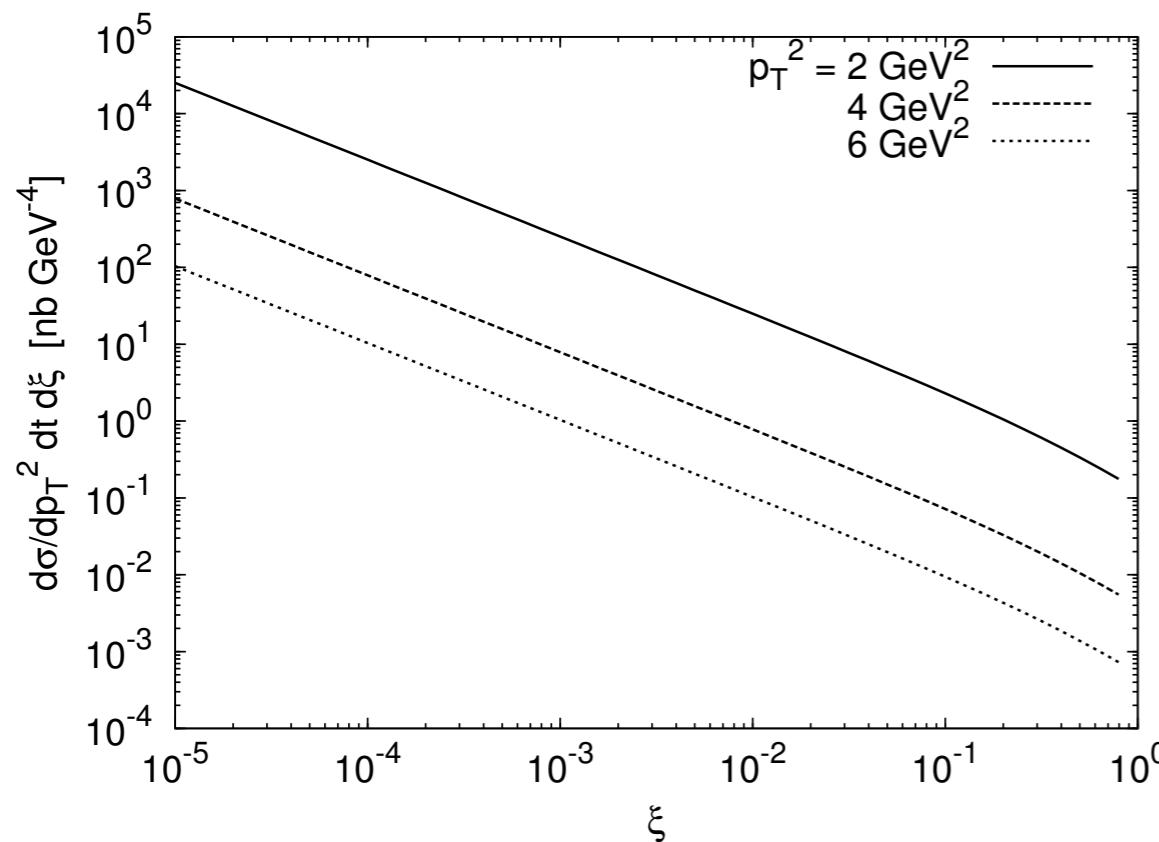
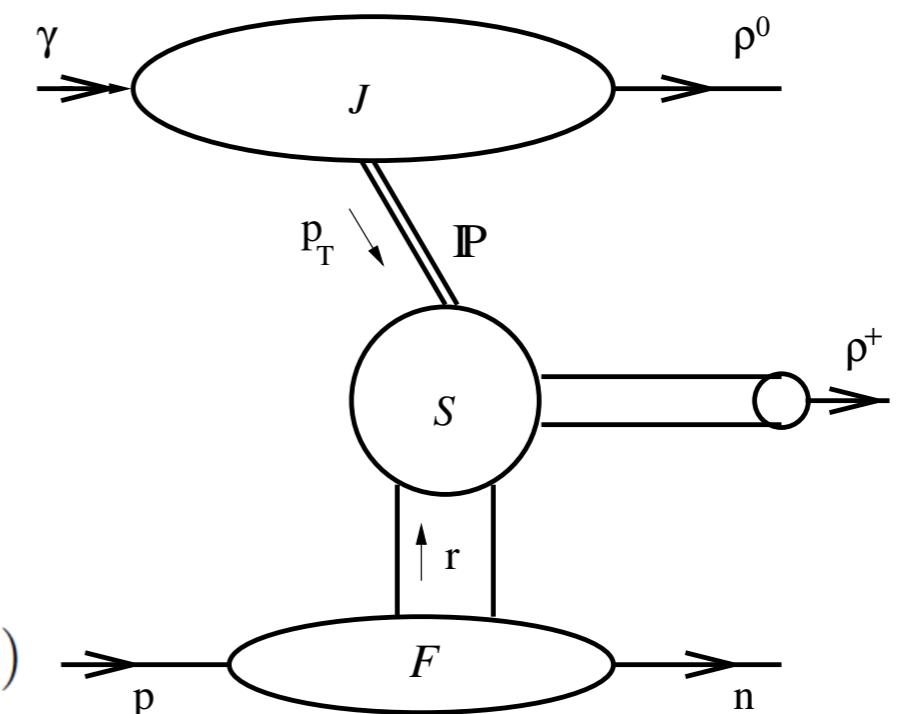
- Sizable charge asymmetry, yields and reconstruction pending.



Transversity GPDs:

- Chiral-odd transversity GPDs are largely unknown.
- They can be accessed through double exclusive production:

$$ep(p_2) \rightarrow e' \gamma_{L/T}^{(*)}(q) \ p(p_2) \rightarrow e' \rho_{L,T}^0(q_\rho) \ \rho_T(p_\rho) \ N'(p_{2'})$$



$$\xi \approx x_B / (2 - x_B)$$