Potential of wire compensation for (HL-)LHC & Optimal optics and hardware conditions

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<u>Contents</u>

- Introduction to flat optics and potential of wire compensation
- \rightarrow LHC & "HL-LHC Plan B"
- Principle of the correction and wire specification
- Optimal optics and HW conditions
- "Round", "Oval" or "Flat" optics? Which beam emittance ?
- \rightarrow Is there any natural direction where to go for the 2017 MDs ?
- Conclusions & Outlook

Introduction to flat Optics and potential of wire compensation

• Flat optics (not flat beams!) means

 $\varepsilon_x \sim \varepsilon_y \sim \varepsilon$ but $\beta_x^* \equiv \sqrt{r} \beta^*$ and $\beta_y^* \equiv \beta^* / \sqrt{r}$ with $r \neq 1$, typically 3 to 4 in LHC

- The Xing plane is always the plane of largest β^* (i.e. smallest β in the triplet)
 - **1. To preserve/gain aperture in the triplet** (smaller X-angle requested, and better matching between beam-screen and beam aspect ratio for LHC, see later)
 - 2. To gain in luminosity (geometric loss factor closer to unity)

Luminosity calculated for head-on colliding round beams

Full normalized X-angle

(9-10 σ for LHC, up to 12.5 σ for HL-LHC with more current and longer triplet with more LR's)

r.m.s. bunch length (7.5 cm nominally but 9-10 cm in practice for various reasons)

 $\beta^* \equiv \sqrt{\beta_x^* \times \beta_y^*}$ (30 - 40 cm for LHC, 10 - 20 cm for HL - LHC)

r the beta * aspect ratio (defined as $\beta_x^* / \beta_{||}^* \ge 1$)

 $L(\mathbf{r},\boldsymbol{\beta}^*) = -$

→ Increasing the beta* aspect ratio could in principle rapidly mitigate the geometric luminosity loss w/o need of crab-cavities
→ But w/o dedicated action, the normalised X-angle should unfortunately as well increase with the beta* aspect ratio ...

Introduction to flat optics and potential of wire compensation

• Flat optics example:

HL-LHC plan B for 10³⁵ virtual luminosity w/o crab-cavities (HL-LHC Coordination Group, May 2013, and *PRSTAB 18-121001, 2015*)

→ $\beta^*=40/10$ cm at IP1&5 (i.e. *r=4*), $\Theta_c=300 \mu rad$, i.e. about halved vs. baseline but still 10.5 σ at $\beta^*=40$ cm in the X-plane, ho collision at full current in 3 IPs



Introduction to flat optics and potential of wire compensation

<u>Competitive flat optics in LHC</u> (e.g. 80/20 instead of 40/40, or 60/15 instead of 30/30) requires to change the crossing plane orientation (IT aperture), hence installing the wires in the right plane!.. (see later possible "oval" optics)



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Many questions with non-obvious answers

- 1) With only 2 wires left/right the IP, can we properly compensate 15-20 LR encounters taking place at <u>non uniform normalized</u> <u>beam-beam separation</u>?
- 2) If yes, can we build an <u>automatic tool for</u> <u>setting generation</u> (transverse position and current) working for arbitrary optics (flat or round) and crossing angle ?
- 3) Are there any preferences (based on beam dynamics criteria) where to install the wire, i.e. at <u>which β -function aspect ratio</u>? Is an aspect ratio of 1 really the optimal choice as thought in the initial proposal?



at β^* =15 cm (7 TeV, $\gamma \epsilon$ =2.5 mrad)

<u>Beam-beam long-range multipole expansion</u>

Working in complex coordinates is the right thing to do:

- $z \equiv x + i y$: transverse coordinate of the test particle wrt the centroid of the weak beam
- $z_0 \equiv x_0 + i y_0$: relative centroid position of the strong beam wrt the weak beam

... And assuming $|z| \ll |z_0|$

$$\int ds \left[B_y + i B_x \right]_{eq} = -\frac{\mu_0 \left(\widetilde{Qc} \right)}{2\pi} \times \frac{1}{z - z_0}$$

$$\equiv \sum_{k=1}^{\infty} \left[B_k + i A_k \right] z^{k-1} \longrightarrow B_k + i A_k = \frac{\mu_0 \left[IL \right]_{eq}}{2\pi} \times \frac{1}{z_0^k}$$

 $[IL]_{eq} = 10.56 \text{ A.m} / \text{LR}$ for the HL-LHC beam (2.2E11)

 $[IL]_{eq} = 5.76 \text{ A.m} / \text{LR}$ for the LHC BCMS beam (1.2E11)

90 A.m would have been fully OK for LHC (15 LRs/IP side), about 200 A.m for HL-LHC (18-19 LRs/IP side) ... The TCTW has been designed for 350 A ??

$$B_k + i A_k = \frac{\mu_0[IL]_{eq}}{2\pi} \times \frac{1}{z_0^k}$$

- 1. H crossing ($z_0 = x_0$ real) induces only normal harmonics (A_k =0).
- 2. V crossing $(z_0 = iy_0$ purely imaginary) induces both skewed harmonics when k is odd $(B_{2k+1}=0)$ and normal harmonic when k is even $(A_{2k}=0)$.
- 3. An alternated <u>HV Xing scheme in 2 low- β IRs with identical round optics</u> compensates all (4n + 2)-pole tune shift and tune spread $(B_2, B_6,...)$ but combine additively the (4n)-pole tune spread $(B_4, B_8,...)$That is why the LR tune spread is close to that of a **pure octupole** in the LHC, and was easy to compensate with octupole magnets, at least at 4 TeV
- The compensation is only partial for alternated HV Xing in <u>2 low-β IR's with flat optics of</u> aspect ratio r and 1/r

• <u>Resonance Driving Terms (RDT) from the LR interactions in H or V crossing</u>



→ The detuning terms (footprint) are non-zero only when both p and q are even, and are equal to the corresponding driving terms.



Betatron phases $[2\pi]$ w.r.t. the first LR encounter For Typical optics at $\beta^*=15$ cm (HL-LHC) \rightarrow A few degrees till Q4

 \rightarrow But rapid degradation of the situation for β^* >50 cm-1 m

• **RDTs from the wire**

$$c_{pq}^{w} \propto N_{w} \times \frac{r_{w}^{|p|-|q|}}{\left(d_{w}/\sqrt[4]{\beta_{x,w}\beta_{y,w}}\right)^{|p|+|q|}}$$

- d_w : (non-normalized) distance of the wire w.r.t. the weak beam
- N_w : integrated current expressed in terms of equivalent number of LR encounters
- $r_w~:~eta$ -function aspect ratio at the wire $(m{eta}_x/m{eta}_y)$
- → The actual product of the β 's at the wire is not relevant (can be absorbed in rescaling d_w), only the β aspect ratio is important, which can be eventually (re-)adjusted with the triplet settings



Optics type @ 40 cm	ATS 2016	Nominal 2016	ATS 2017 (new nominal 2017)	"ex-Nominal 2017"
$\beta_{x (y)}$ [m] at TCT (TCL)	1654 (1645)	2149 (2144)	1314 (1302)	2149 (2144)
$\beta_{y(x)}$ [m] at TCT (TCL)	966 (935)	800 (772)	932 (901)	800 (772)
r _w at TCT (TCL)	1.71 (1.76)	2.68 (2.78)	1.41 (1.44)	2.68 (2.78)

<u>Correction algorithm</u>:

With 2 knobs (1 wire/beam/ IP-side assumed to be symmetric w.r.t. the IP), only 2 or 4 RDT's can be a priori fully corrected:

 \rightarrow ($c_{p_1q_1}^{LR}$, $c_{p_2q_2}^{LR}$) and ($c_{q_1p_1}^{LR}$, $c_{q_2p_2}^{LR}$) by symmetry with <u>left & right wires</u> at the <u>same physical transverse distance w.r.t. the beam</u> and at <u>the same current</u>

$$\left\{\begin{array}{c} u_{w,L} = u_{w,R} = u_{w} \equiv \sqrt{\beta_{eq}^{w}} \times \left[\frac{c_{p_{1}q_{1}}^{LR}}{c_{p_{2}q_{2}}^{LR}} \frac{r_{w}^{\frac{p_{2}-q_{2}}{4}} + r_{w}^{\frac{q_{2}-p_{2}}{4}}}{r_{w}^{\frac{p_{1}-q_{1}}{4}} + r_{w}^{\frac{q_{1}-p_{1}}{4}}}\right]^{\frac{1}{p_{2}+q_{2}-p_{1}-q_{1}}}\\ N_{w,L} = N_{w,R} = N_{w} \equiv \left[\frac{(c_{p_{1}q_{1}}^{LR})^{p_{2}+q_{2}}}{(c_{p_{2}q_{2}}^{LR})^{p_{1}+q_{1}}} \frac{(r_{w}^{\frac{p_{2}-q_{2}}{4}} + r_{w}^{\frac{q_{2}-p_{2}}{4}})^{p_{1}+q_{1}}}{(r_{w}^{\frac{p_{1}-q_{1}}{4}} + r_{w}^{\frac{q_{1}-p_{1}}{4}})^{p_{2}+q_{2}}}\right]^{\frac{1}{p_{2}+q_{2}-p_{1}-q_{1}}}.$$

...which is independent of β

For flat optics of sufficiently small β^* in both planes, these settings are <u>still optimal</u> for the 2 RDT's considered, but the residuals of the other RDT's remains in general optics dependent.



The following does not treat the **compromise case of only one driving term compensated**, as e.g. the octupolar term, where the wire can be at any distance from the beam, provided enough current is available

→ See talk by A. Valishev (for the very promising results alreay obtained in this case)

• Integrated current vs. wire positioning (HL-LHC simulations)

- \rightarrow 3 correction types tested
- → r_w =1 can mitigate the current needed but is always worst for the quality of the correction (see later)
- → The current does not depend on the correction type for an aspect ratio of $r_w \approx 0.5$ or $r_w \approx 2$! At this aspect ratio, the wire current corresponds to the strict additive contribution of each LR



• Transverse distance w.r.t. beam vs. wire positioning in HL-LHC for a full X-angle of 590 µrad (12.5 σ at $\beta^*=15$ cm)



→ Again the results does not depend on the correction type for $r_w \approx 0.5$ or $r_w \approx 2$!? → At this optimal aspect ratio, the normalized wire position is about:

 $d_w \sim 2^{1/4} \times \text{normalised X-angle on the side of the smallest } \beta$ $d_w \sim 2^{-1/4} \times \text{normalised X-angle on the side of the largest } \beta$





Optimal optics and HW conditions

Some optimal rules for HL-LHC (and LHC)

Rule # 1 (plane): 2 wires /beam/IR installed in the X-plane .. e.g. H in IR1 and V in IR5 for "HL-LHC-like flat optics"

Rule # 2 (layout): Left/right symmetric w.r.t the IP

Rule # 3 (optics): At an optimal beta aspect ratio of about 2 (1.8 for LHC). In case, the LHC optics is flexible enough to be changed accordingly (mitigating possible constraints from the forward physics experiments)

Rule # 4 (current): With a current of about 200 A (100 A for LHC), same current left and right

Rule # 5 (transverse setting): At the same physical distance w.r.t. the beam for the left and right wires, corresponding to a normalized distance which is 15-20% larger (resp. smaller) than the crossing angle for the wire on the side of the smallest (resp. largest) beta.

Optimal optics and HW conditions

Where are we with the present HW and which consequence?

- ③: Two wires at the TCT & TCL almost symmetric w.r.t. the IP
- $\textcircled{O}: \beta$ -aspect ratio at the wires not ideal but much better for ATS2017 than for the 2016 optics
- ③: Wire in the H plane which rules out flat optics with very small (15-20 cm) horizontal beta*, not too large vertical beta* (~60 cm) and V crossing, as imposed by the IT aperture
- By far enough current (× 4 compared to LHC needs), but which drove a specific HW solution with (too) many beam sigma's lost between wire and TCT edge (see also next slide)



Round optics: 3 mm means already ~5 σ @ $\gamma\epsilon$ =2.5 μ m and β^* =40 cm (β ~900 m at the TCLW)

"Oval" optics: H crossing kept in CMS, β^* limited to ~ 35-40 cm in the V plane (parallel separation plane), and $\beta^* \sim 1$ m in the X-plane to keep a "decent" sizeable aspect ratio **3 mm becomes ~8 \sigma at \beta^*=1 m ... (\beta shrinks to ~360 m at the TCLW)**

→ Definitely the emittance of the weak beam has to be blown up.

Divonne, France

18

Can we find any configuration for 2017 to test the full correction? .. Assuming

(i) Minimum allowed TCTW gap of 6 collimation σ (i.e. calculated for $\gamma \epsilon$ =3.5 μ m)

(ii) <u>Targeting a X-angle of 8 (10) beam σ in round (oval) optics to see convincing life time drops (.. and recovery), i.e. ~ 10 (12) beam σ for the wire at the smallest β .</u>

(iii) Trying $\beta^*=33 - 40$ cm for round optics, $\beta^*=1$ m in the X-plane for "oval" optics



It looks really tricky in all cases, and round optics still seems to be the most promising (easy) way to go

Conclusions & Outlook

- The present HW configuration (H-plane, 5-8 σ lost for wire integration in TCT jaw) makes the full test of the HL-LHC Plan B rather challenging
- Testing the octupole compensation is however still perfectly within reach and potentially very beneficial, at least with round optics

 \rightarrow See Sasha's talk

• Something however still deserves work and a particular attention, which is an attempt for **global correction (all RDTs)**, re-phasing appropriately the optics, with the aim

(i) to use the **TCTW/TCLW in IR5 to compensate IR1 with "true" flat optics & H crossing** for the demonstration with beam

(ii) then, to **envisage installing wires in TCP7 or TCSG7** (existing or additional ones?), with the right current rating (..), and make the technique fully operational (i.e. w/o gymnastic needed with emittance growth and/or non-nominal collimator settings ..)