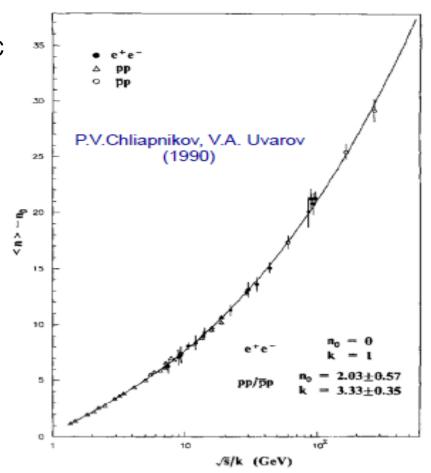
Universality of Particle Production and Energy Balance in Hadronic and Nuclear Collisions

Aditya Nath Mishra ICN-UNAM, Mexico City

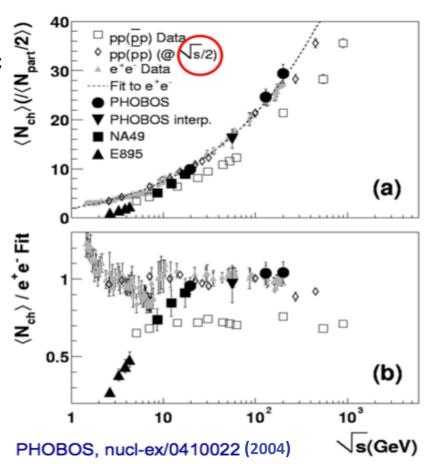




- ➤ Bulk observables *mean multiplicity and rapidity densities* key parameters of the formation and evolution of the collision initial state
- Extensively studied in heavy-ion collisions at RHIC and LHC
- Similarities with e⁺e⁻ and pp data: universality in multihadron production



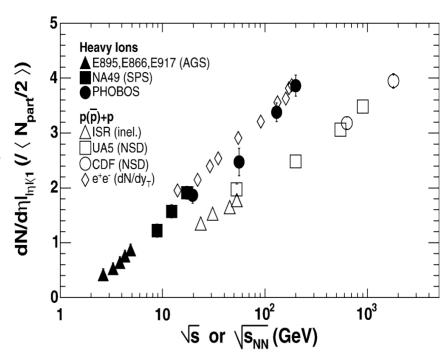
- ➤ Bulk observables *mean multiplicity and rapidity densities* key parameters of the formation and evolution of the collision initial state
- Extensively studied in heavy-ion collisions at RHIC and LHC
- Similarities with e⁺e⁻ and pp data: universality in multihadron production
- pp multiplicity needs scaling to show universality



➤ Bulk observables - *mean multiplicity and rapidity densities* - key parameters of the formation and evolution of the collision initial state

Extensively studied in heavy-ion collisions at RHIC and LHC

- ➤ Similarities with e⁺e⁻ and pp data: universality in multihadron production
- pp multiplicity needs scaling to show universality
- pp midrapidity density does not obey a similar scaling

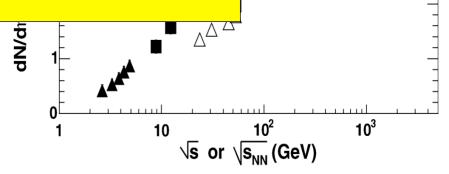


- Bulk observables *mean multiplicity and rapidity densities* key parameters of the formation and evolution of the collision initial state
- Extensively studied in heavy-ion collisions at RHIC and LHC

Similarities win multihadro NOT work for BOTH variables

pp multipli universality

pp midrapidity density does not obey a similar scaling



Energy Scaling vs. Types of Collisions

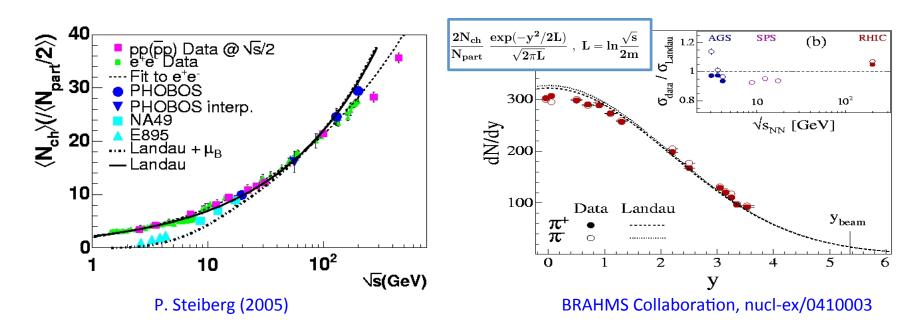
- > e⁺e⁻ (structure-less particles) annihilation the *total* interaction energy is deposited in the initial state
- pp (superposition of three pairs of constituents) collision only the energy of the interacting single quark pair is deposited in the initial state
- Both multiplicity and midrapidity density should be similar in pp at c.m. energy $\sqrt{s_{pp}}$ and e⁺e⁻ at c.m. energy $\sqrt{s_{ee}} \approx \sqrt{s_{pp}}/3$
- ➤ Head-on heavy ion collisions: *all three quarks* participate nearly simultaneously and deposit their energy coherently into initial state
- *Both multiplicity* and *midrapidity density* should be similar in pp at c.m. energy $\sqrt{s_{pp}}$ and head-on AA at c.m. energy $\sqrt{s_{NN}} \approx \sqrt{s_{pp}}/3$

E. Sarkisyan & A. Sakharov (2004): dissipating energy participants

Hydrodynamics of the collisions

Two head-on colliding Lorentz-contracted particles stop within the overlapped zone

- Formation of fully thermalized initial state at the collision moment
- The decay (expansion) of the initial state is governed by relativistic hydrodynamics - Landau model (1953)



The production of secondaries is defined by the energy deposited into the initial state

Hydrodynamics of the collisions

Landau Hydrodynamics: Relation between pp and AA

$$rac{
ho(\mathbf{0})}{
ho_{\mathbf{pp}}(\mathbf{0})} = rac{\mathbf{2N}_{\mathrm{ch}}}{\mathbf{N}_{\mathrm{part}} \ \mathbf{N}_{\mathrm{ch}}^{\mathrm{pp}}} \sqrt{rac{\mathbf{L}_{\mathrm{pp}}}{\mathbf{L}_{\mathbf{NN}}}}, \mathbf{L} = \mathbf{ln} rac{\sqrt{\mathbf{s}}}{\mathbf{2m}} \quad ext{-----(1)}$$

<u>Landau Hydrodynamics + Constituent Quark approach</u>

$$rac{
ho(\mathbf{0})}{
ho_{\mathbf{pp}}(\mathbf{0})} = rac{\mathbf{2N_{\mathrm{ch}}}}{\mathbf{N_{\mathrm{part}}}} \sqrt{rac{4 ln 3}{ln(4 m_{\mathbf{p}}^2/\mathbf{s_{NN}})}} -----(2)$$
 with $\sqrt{\mathbf{s_{NN}}} = \sqrt{\mathbf{s_{pp}}}/3$

Here,

 N_{part} - number of participants,

N_{ch} - mean multiplicities in nucleus-nucleus collisions

 N_{ch}^{pp} - mean multiplicities in nucleon-nucleon collisions and m_p is the mass of proton in nucleus-nucleus collisions and effective mass of constituent quark, $m_p/3$ in nucleon-nucleon collisions.

Effective Energy Approach

Effective Energy: A fraction of the center of mass energy available for particle production in a collision.

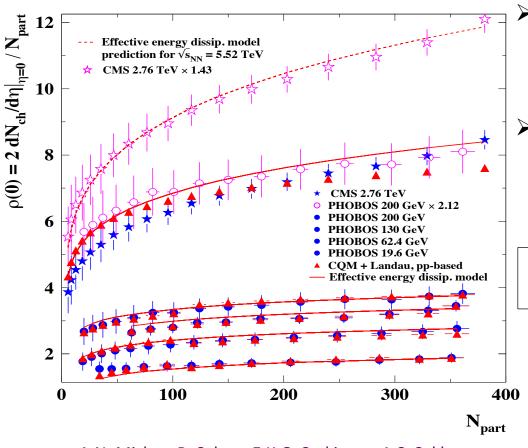
Effective energy can be calculated as following:

$$\epsilon_{\mathbf{NN}} = \sqrt{\mathbf{s}_{\mathbf{NN}}} (\mathbf{1} - \alpha)$$

Here α is centrality percentile, e.g. for 0-5% central collision $\alpha = 0.025$

$$rac{
ho(\mathbf{0})}{
ho_{\mathbf{pp}}(\mathbf{0})} = rac{\mathbf{2N}_{\mathrm{ch}}}{\mathbf{N}_{\mathrm{part}}} \sqrt{rac{\mathbf{2ln3}}{\mathbf{ln}(\mathbf{2m_p}/\epsilon_{\mathbf{NN}})}}$$
----(3) $\epsilon_{\mathbf{NN}} = \sqrt{s_{\mathbf{pp}}}/3$

Centrality Dependences

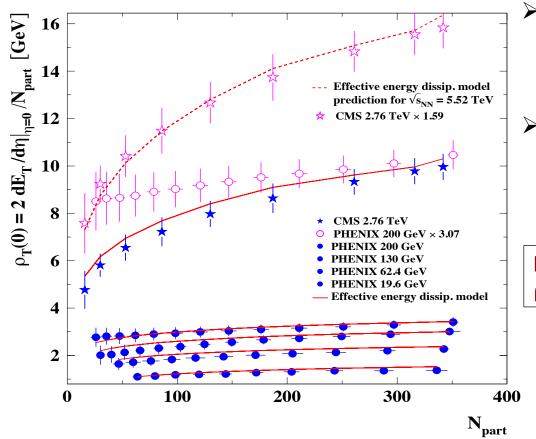


- CQM + Landau calculations have a very good agreement with data from RHIC to LHC energies.
- ➤ Effective energy dissipation (red line of the fit to centrality data energy dependence [next slide]) also explains data.

 N_{ch} is taken at $\sqrt{s_{NN}} = \varepsilon_{NN}$ $\rho_{pp}(0)$ and N^{pp}_{ch} are taken at $\sqrt{s_{pp}} = 3\varepsilon_{NN}$

A.N. Mishra, R. Sahoo, E.K.G. Sarkisyan, A.S. Sakharov Eur. Phys. J. C 74 (2014) 11, 3147

Centrality Dependences



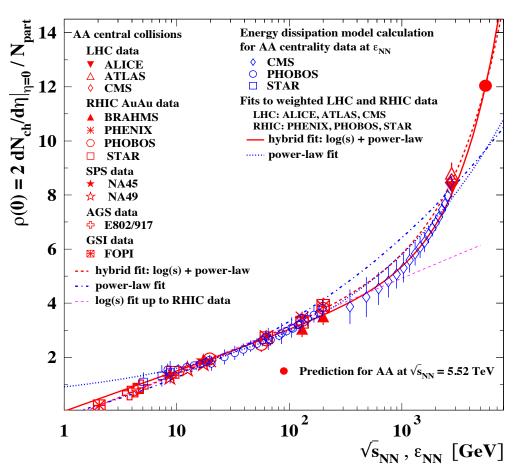
A.N. Mishra, R. Sahoo, E.K.G. Sarkisyan, A.S. Sakharov Eur. Phys. J. C 74 (2014) 11, 3147

- CQM + Landau calculations have a very good agreement with data from RHIC to LHC energies.
- ➤ Effective energy dissipation (red line of the fit to centrality data energy dependence [next slide]) also explains data.

 N_{ch} is taken at $\sqrt{s_{NN}} = \varepsilon_{NN}$ $\rho_{pp}(0)$ and N^{pp}_{ch} are taken at $\sqrt{s_{pp}} = 3\varepsilon_{NN}$

Similar behaviour is found for transverse energy.

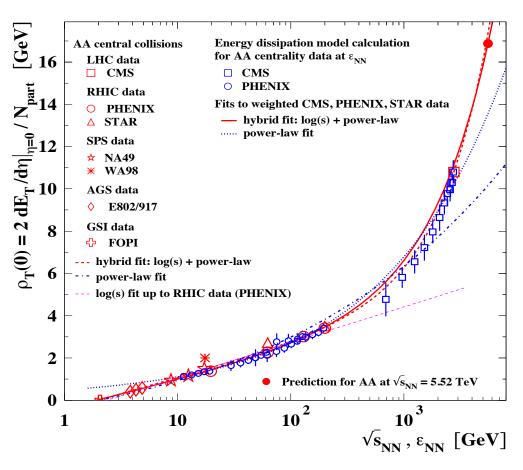
Center of Mass Energy Dependences



A.N. Mishra, R. Sahoo, E.K.G. Sarkisyan, A.S. Sakharov Eur. Phys. J. C 74 (2014) 11, 3147

- Model well reproduces the data under the assumption of the effective energy deriving the multi-particle production process
- > Centrality data are shown as a function of the effective c.m. energy ϵ_{NN}
- Similarity in the data from peripheral to the most central collisions: all the data follow the same (effective) energy behavior

Center of Mass Energy Dependences



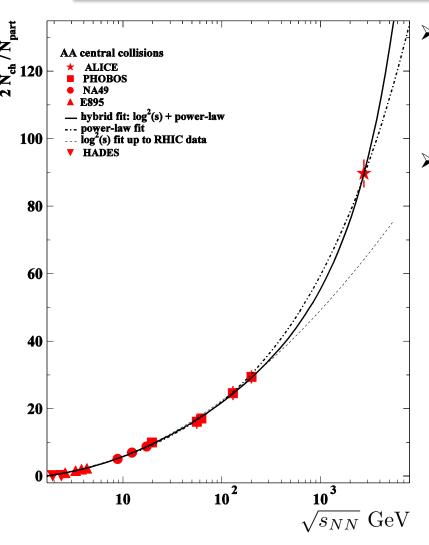
A.N. Mishra, R. Sahoo, E.K.G. Sarkisyan, A.S. Sakharov Eur. Phys. J. C 74 (2014) 11, 3147

- Model well reproduces the data under the assumption of the effective energy deriving the multi-particle production process
- > Centrality data are shown as a function of the effective c.m. energy ϵ_{NN}
- ➤ Similarity in the data from peripheral to the most central collisions: all the data follow the same (effective) energy behavior

Similar behaviour is found for transverse energy.

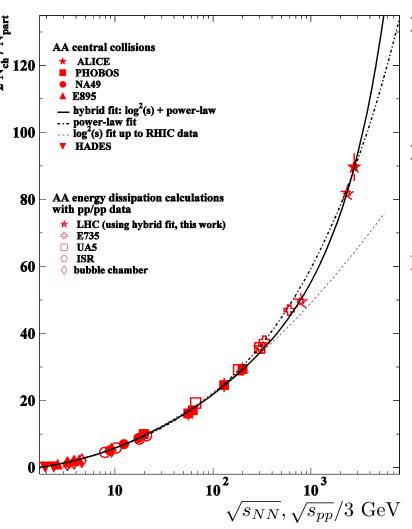
Effective energy approach provides a good description of both the pseudorapidity and transverse energy densities at midrapidity in heavy-ion collisions

Mean Multiplicity Energy Dependence



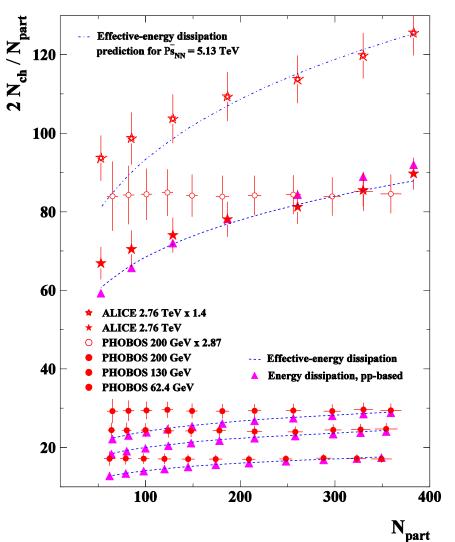
- Hybrid and power-law functions provide good fits for all available AA data and are almost indistinguishable up to LHC energy
- ► LHC data departs from log²-polynomial fit at √s_{NN} about 1 TeV, indicates a possible transition to a new regime in heavy-ion collisions

Mean Multiplicity Energy Dependence



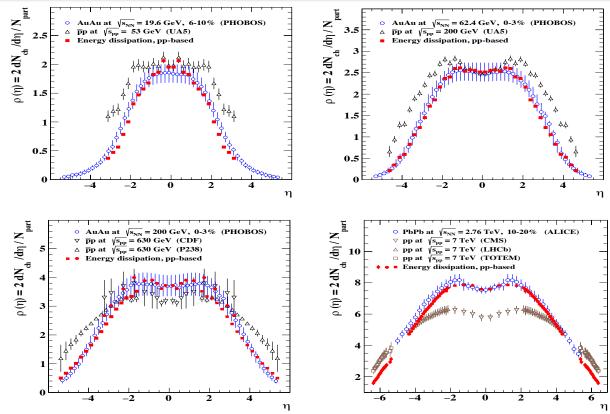
- Hybrid and power-law functions provide good fits for all available AA data and are almost indistinguishable up to LHC energy
- ► LHC data departs from log²-polynomial fit at √s_{NN} about 1 TeV, indicates a possible transition to a new regime in heavy-ion collisions
- Charged particles mean multiplicities calculated from the dissipation energy approach for AA data, using the pp/ppbar measurements, well describe the heavy-ion measurements

Mean Multiplicity Centrality Dependence



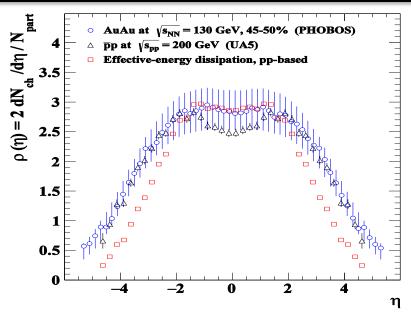
- The dotted lines represent the calculations from the effective-energy approach
- The <u>calculations</u>, driven by the <u>centrality-defined</u> effective c.m. energy ε_{NN} , well reproduce the **LHC** data
- RHIC data show a significant difference with the calculations for peripheral collisions

Pseudorapidity Distributions (Most Central Collisions)



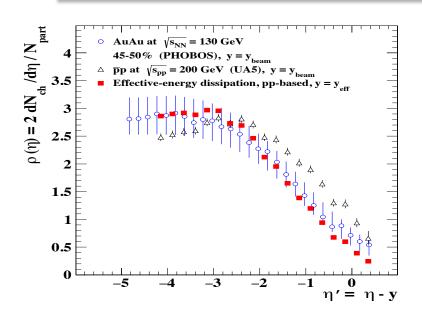
- Calculations for <u>high-central</u> collisions, are in very good agreement with the measurements.
- At **LHC** energy, pp measurements from the <u>three different experiments</u> are used and shown to **reproduce** AA data

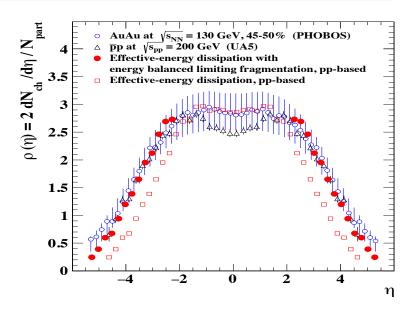
Pseudorapidity Distributions (Non-Central Collisions)



- Calculations for non-central collisions, agree well with the measurements in the central η region while fall below the data outside this region
- Within the effective-energy approach, one expects the limiting fragmentation scaling of $\rho(\eta)$ (fragmentation area of $\rho(\eta)$ independence of collision energy in the beam/target rest frame) measured at $\sqrt{s_{NN}}$ to be similar to that of the calculated distribution but taken at the effective energy ϵ_{NN} , i.e. $\eta \to \eta y_{eff}$, where $y_{eff} = \ln(\epsilon_{NN}/m_p)$

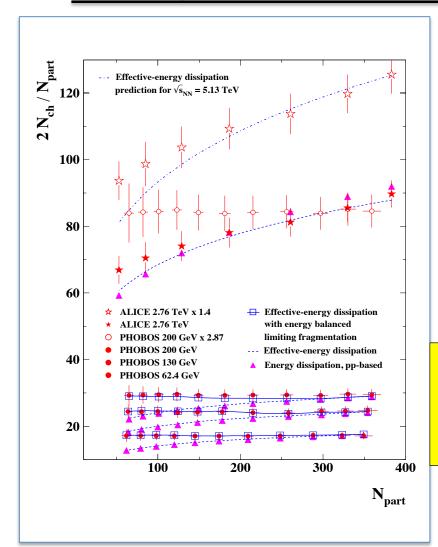
Energy Balanced Limiting Fragmentation

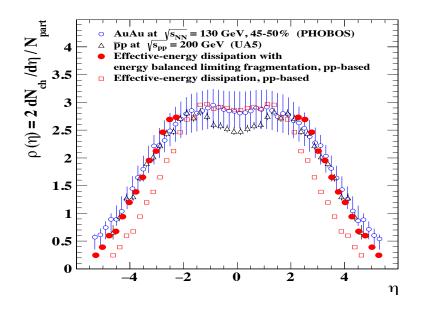




- Fig. The measured distribution ρ(η) is shifted by the beam rapidity, y_{beam} , while the calculated distribution is shifted by $y_{eff} = ln(ε_{NN}/m_p)$ and becomes a function of $η' = η y_{eff}$. Then the distributions coincide as expected.
- The *newly calculated* distribution ρ(η) needs to be shifted by the <u>difference</u> $(y_{eff} y_{beam})$ in the fragmentation region: $η → η (y_{eff} y_{beam}) = η ln(1 α)$.
- These represent the *energy balanced* limiting fragmentation scaling phenomena E.K.G. Sarkisyan, A.N.M., R. Sahoo, A.S. Sakharov Phys. Rev. D 93, 054046 (2016).

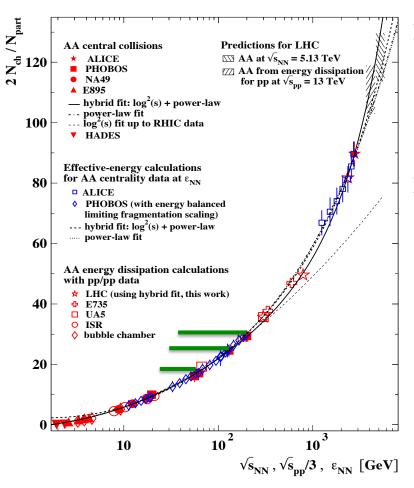
Energy Balanced Limiting Fragmentation





Energy Balanced Limiting Fragmentation scaling gives solution of the difference between our calculation and experimental measurement for peripheral collisions.

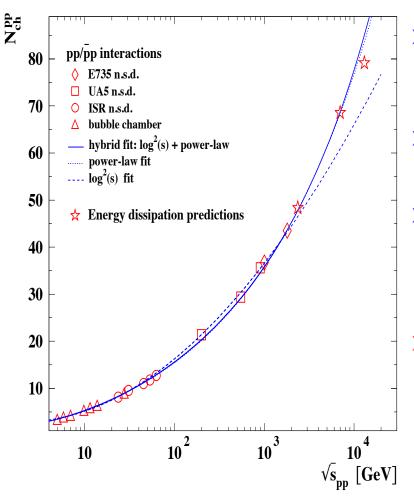
Mean Multiplicity Energy Dependence



- Charged particles mean multiplicities calculated from the dissipation energy approach for AA data, using the pp/ppbar measurements, well describe the heavy-ion measurements
- The centrality data show the energy dependence similar to head-on data as soon as the centrality data are considered in terms of the effective energy. The RHIC data are recalculated by using the Energy Balanced Limiting Fragmentation Scaling

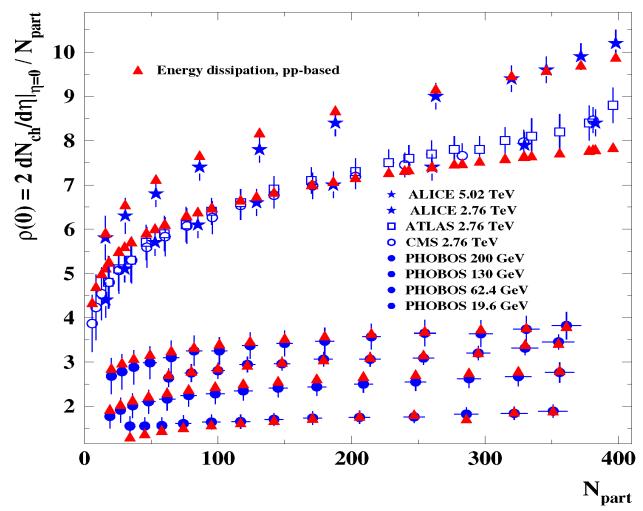
E.K.G. Sarkisyan, A.N.M., R. Sahoo, A.S. Sakharov Phys. Rev. D 93, 054046 (2016).

Mean Multiplicity Energy Dependences in pp Interactions



- The power-law and hybrid fit functions **fit well** the data in the **entire c.m. energy** region and are seen to overlap up to $\sqrt{s_{pp}}$ = 10 TeV
- ➤ Log²-polynomial fit function is also very *close* to the power-law fit even for $\sqrt{s_{pp}} > 2$ TeV
- No change in the multihadron production in pp interactions up to the top LHC energy in contrast to a new regime possibly occurred at $\sqrt{s_{NN}} \approx 1$ TeV in heavy-ion collisions
- pp participant dissipating energy approach predictions are given

Application of the PDE Approach



E.K.G. Sarkisyan, A.N.M., R. Sahoo, A.S. Sakharov Phys. Rev. D (Rapid Comm.) 94, 011501 (2016).

Summary

- ☑ The AA multiplicity and pseudorapidity measurements are well reproduced under the assumption of the effective energy deriving the multiparticle production process and pointing to the same energy behaviour for all types of heavy-ion collisions, from peripheral to the most central collisions
- ☑ A new scaling, called "<u>the energy balanced limiting fragmentation scaling</u>", which takes into account the balance between the collision energy and the energy shared by the participants, is introduced
- ☑ Energy balanced limiting fragmentation scaling *provides a solution* of the RHIC "puzzle" of the difference between the centrality independence of the mean multiplicity vs. the monotonic decrease of the midrapidity pseudorapidity density with the increase of centrality
- \square Under the concept of the effective energy and using the energy balanced limiting fragmentation scaling, the centrality data are found to follow the head-on collisions $\sqrt{s_{NN}}$ dependence
- ☑ pp based calculations show a very good agreement with heavy-ion data from 19.6 GeV up to 5.02 TeV

