

Effect of CP violation in the singlet-doublet dark matter model

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based on

PLB 771 (2017) 125-130 ([arXiv:1702.07236](https://arxiv.org/abs/1702.07236))

A reason why CP violation in dark sector

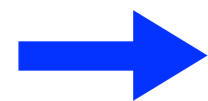
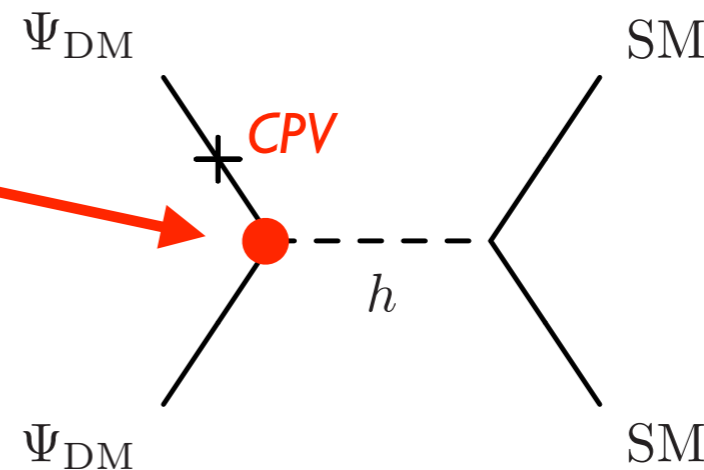
To avoid strong constraint from DM direct detection

- ★ take advantage of the pseudo-scalar interaction
- ★ the interaction can be there if CPV in dark sector

pseudo-scalar interaction

$$\bar{\Psi}_{\text{DM}} i\gamma^5 \Psi_{\text{DM}} h$$

- $\sigma_{\text{SI}} \sim 0$ thanks to the velocity suppression
- s-wave contributions to $\langle \sigma_{\text{ann},V} \rangle$



- ★ constraints from direct detection is avoidable
- ★ DM is thermal relic

Singlet-doublet DM model

New particles (three Z_2 odd Weyl fermions)

	$SU(3)_c$	$SU(2)_L$	$U(1)_Y$	Z_2
ω	1	1	0	-1
η	1	2	1/2	-1
ξ^\dagger	1	2	1/2	-1

Mass terms and Yukawa interactions with the SM Higgs

$$\mathcal{L}_{int.} = -\frac{M_1}{2}\omega\omega - M_2\xi\eta - y\omega H^\dagger\eta - y'\xi H\omega + (h.c.)$$

There is a CP phase naturally

- four complex parameters
- three phases are unphysical, eliminated by the rotation of the three Weyl fermions

→ five parameters: $(|M_1|, |M_2|, |y|, |y'|, \phi)$ $\phi = \text{Arg}(M_1^* M_2^* y y')$

Mixing Majorana fermion with Dirac fermions

→ three neutral Majorana fermions + one charged Dirac fermion

Three important couplings

$$\Psi_{\text{DM}} \quad \Psi_{\text{DM}} \quad \text{---} \quad h \quad = -i \left(c_{h\chi_1\chi_1} - i\gamma^5 c_{h\chi_1\chi_1}^P \right)$$

- does not contribute to direct detection
- becomes zero if no CPV phase in dark sector

- contributes to direct detection (σ_{SI})
- can be zero by parameter choice (blind spot)

Cohen, Kearney, Pierce and Tucker-Smith [1109.2604]
 Cheung, Hall, Pinner and Ruderman [1211.4873]
 Cheung and Sanford [1311.5896]

$$\Psi_{\text{DM}} \quad \Psi_{\text{DM}} \quad \text{---} \quad Z \quad = i\gamma^\mu \gamma^5 c_{Z\chi_1\chi_1}$$

- contributes to direct detection (σ_{SD})
- becomes zero if $y = y'$

$$\mathcal{L}_{\text{int.}} = -\frac{M_1}{2}\omega\omega - M_2 e^{-i\phi}\xi\eta - y\omega H^\dagger\eta - y'\xi H\omega + (h.c.).$$

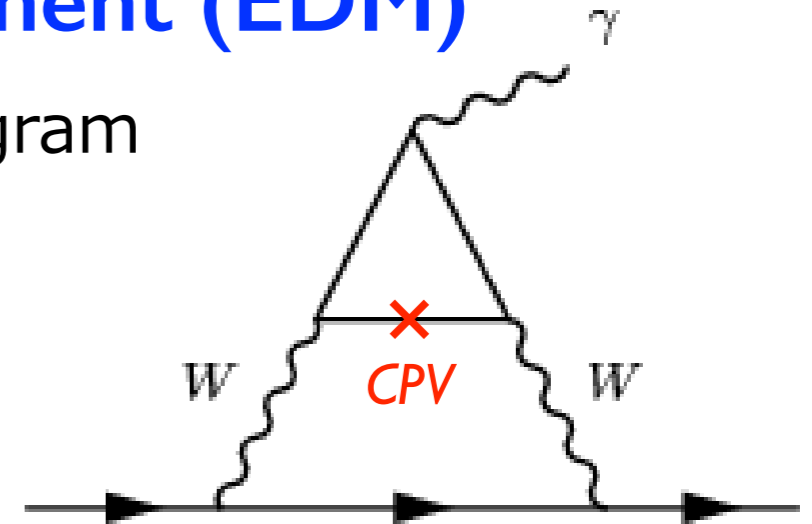
We can avoid the direct detection constraints

if $c_{Z\chi\chi} = c_{h\chi\chi} = 0$ and $c_{h\chi\chi}^P \neq 0$.

Another effect of CP violation in this model

prediction of the electric dipole moment (EDM)

- ★ EDM is predicted via Barr-Zee type diagram
- ★ nice complement to direct detection



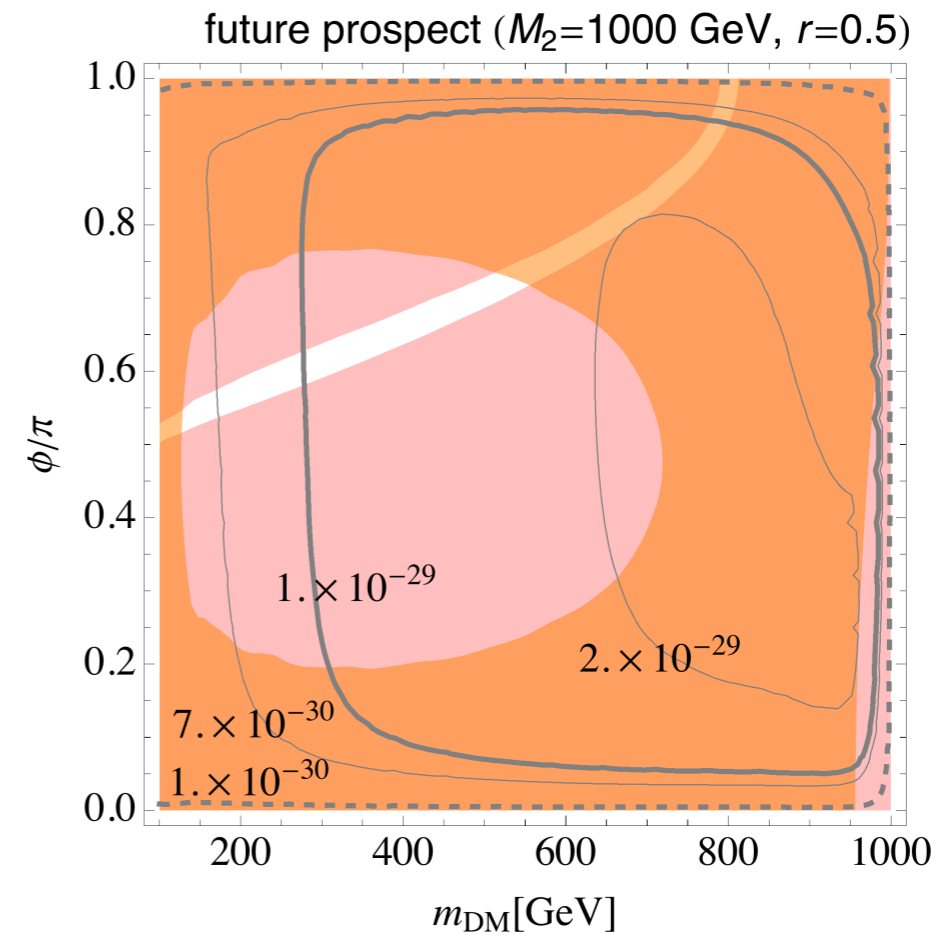
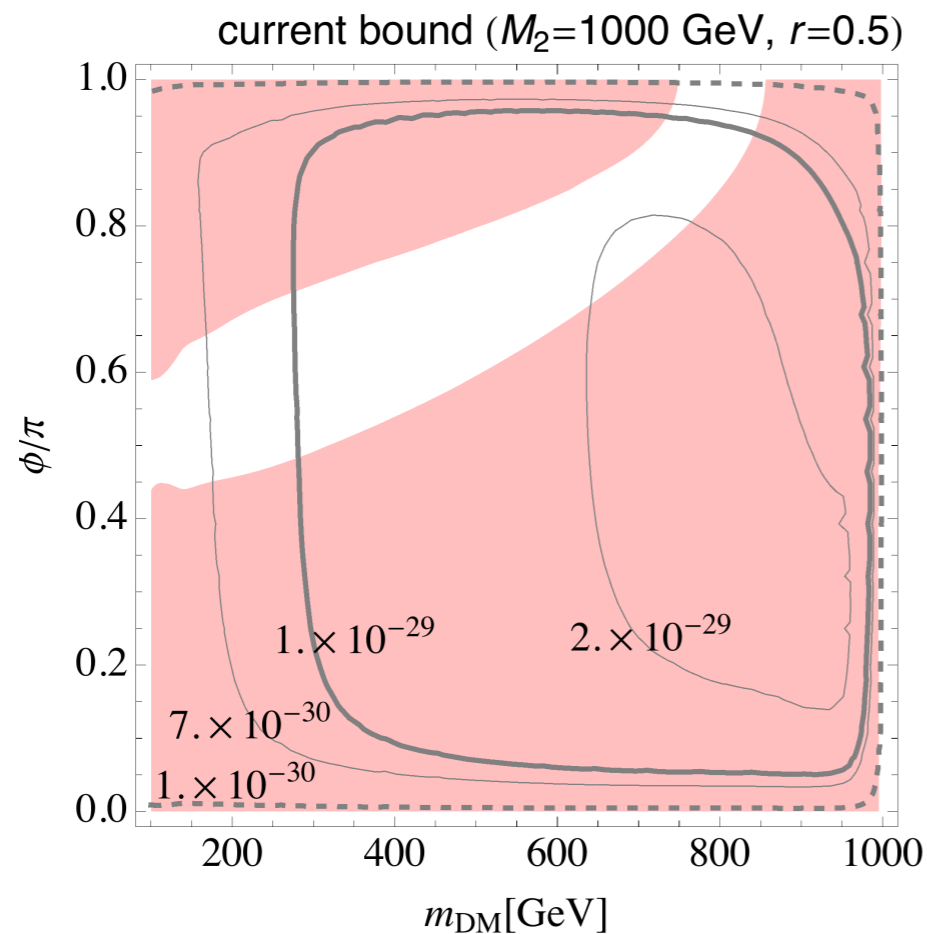
nice complement to direct detection

- ★ In large CPV case, σ_{SI} is small, EDM is large
- ★ In small CPV case, σ_{SI} is large, EDM is small
- ★ EDM helps to test this model in the region where direct detection signal is not expected

Result I : all couplings exist case

$$c_{hXX} \neq 0, c_{ZXX} \neq 0, c_{hXX}^P \neq 0 \quad (M_2 = 1000 \text{ GeV}, y/y' = 0.5)$$

[prospects for LZ is given in 1310.8327]



pink : excluded by σ_{SI}

orange : excluded by σ_{SD}

contours: electron EDM

electron EDM (d_e)

★ *current bound* : $|d_e| < 8.7 \times 10^{-29} \text{ e cm}$

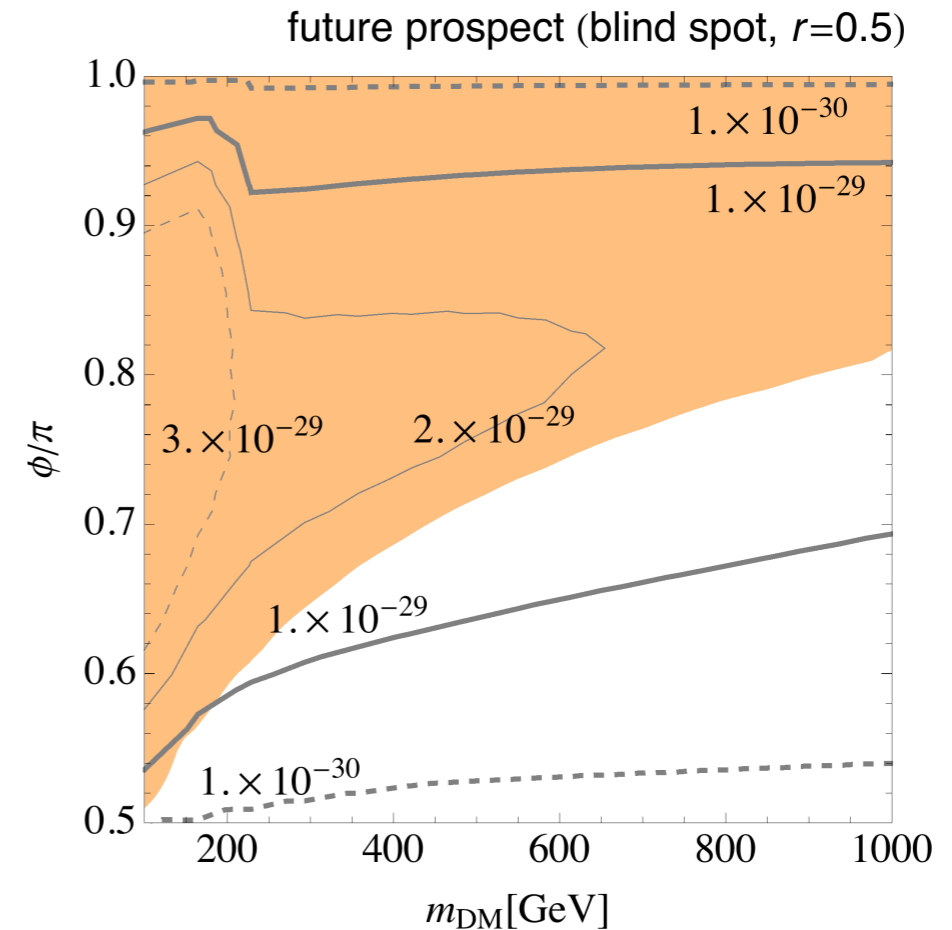
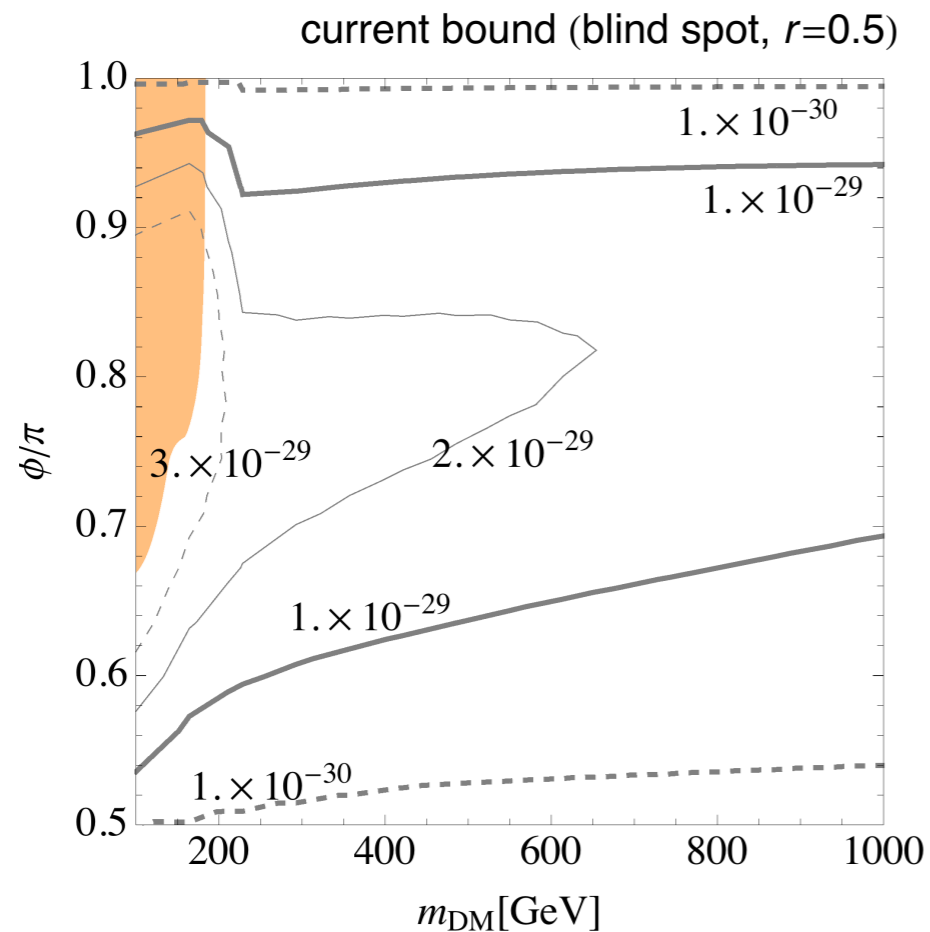
ACME experiment [1310.7534]

★ *future prospect*: $|d_e| < O(10^{-30}) \text{ e cm}$

[1208.4507, 1502.04317, ...]

Result 2 : $c_{hXX} = 0$ case

$$c_{hXX} = 0, c_{ZXX} \neq 0, c_{hXX}^P \neq 0 \quad (y/y' = 0.5)$$



pink : excluded by σ_{SI}
orange : excluded by σ_{SD}
contours: electron EDM

electron EDM (d_e)

★ *current bound* : $|d_e| < 8.7 \times 10^{-29}$ e cm

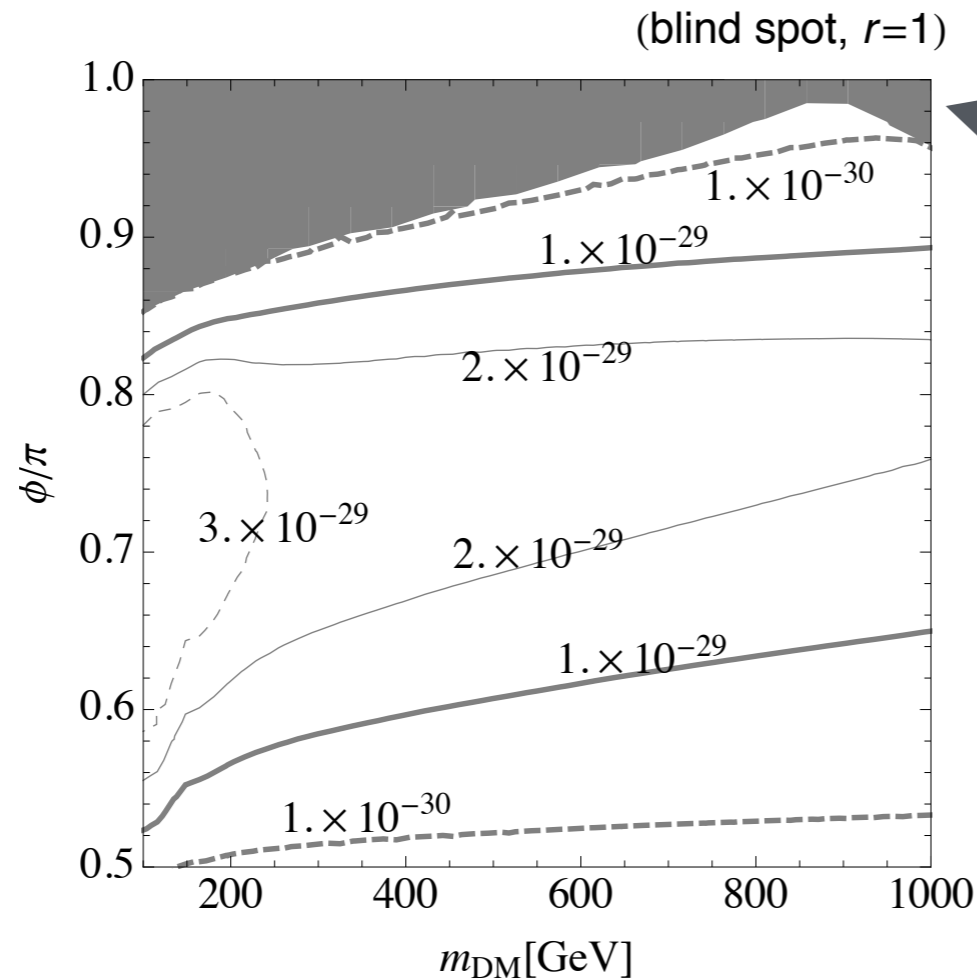
ACME experiment [1310.7534]

★ *future prospect*: $|d_e| < O(10^{-30})$ e cm

[1208.4507, 1502.04317, ...]

Result 3 : only pseudo-scalar coupling case

$$c_{hXX} = 0, c_{ZXX} = 0, c_{hXX}^P \neq 0 \quad (y/y' = 1)$$



In the gray region, the dark matter density cannot be the measured value.

pink : excluded by σ_{SI}
orange : excluded by σ_{SD}
contours: electron EDM

electron EDM (d_e)

★ *current bound* : $|d_e| < 8.7 \times 10^{-29}$ e cm

ACME experiment [1310.7534]

★ *future prospect*: $|d_e| < O(10^{-30})$ e cm

[1208.4507, 1502.04317, ...]

Summary

Effect of CP violation

- ★ generate pseudo-scalar interaction
- ★ avoid strong constraints from direct detection
- ★ keep DM annihilation cross section

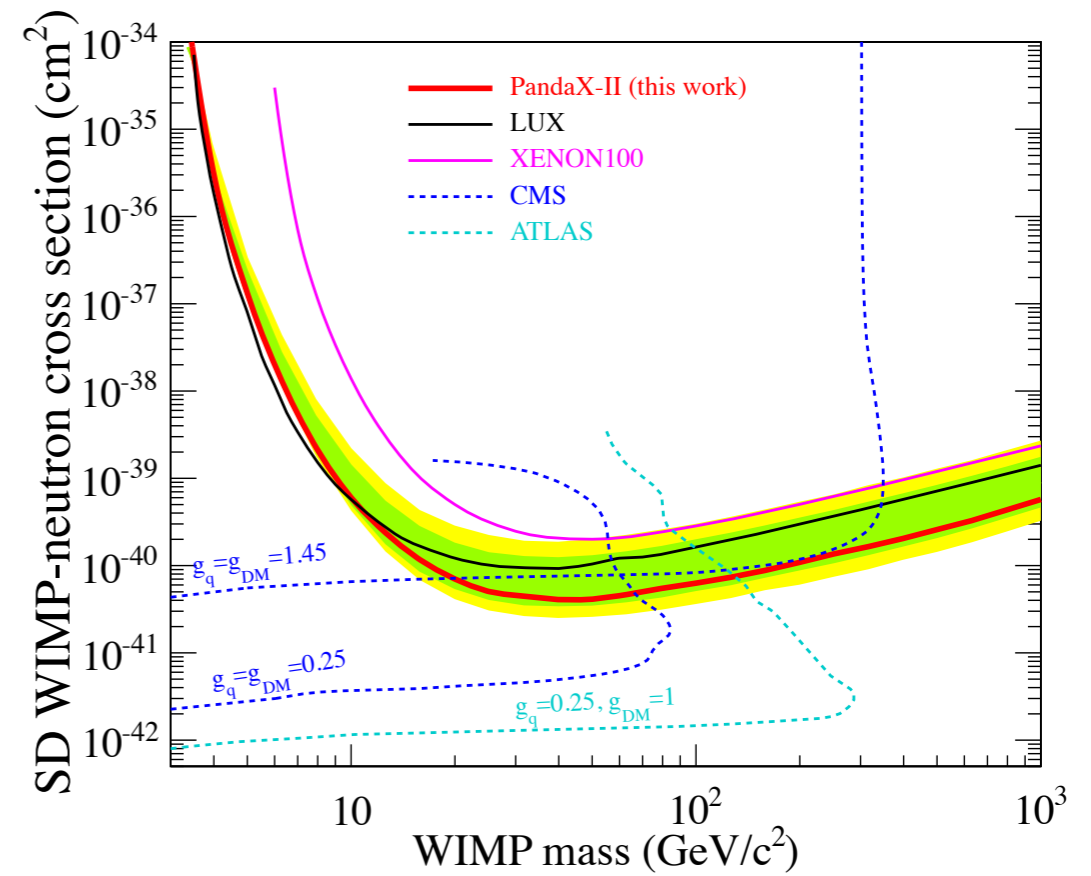
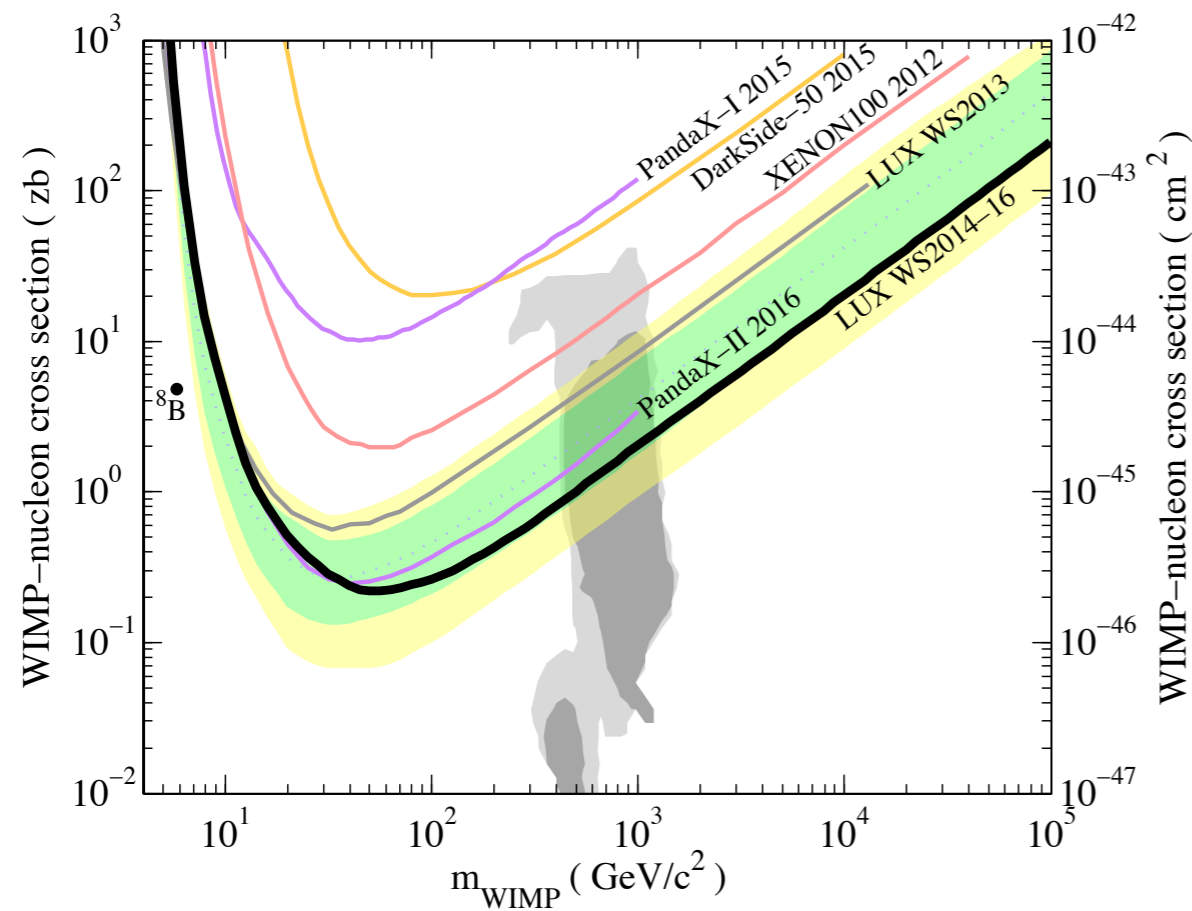
CPV in singlet-doublet DM model

- ★ CP violation naturally arises
- ★ constraints from direct detection is avoidable
- ★ prediction of EDM $> 10^{-30}$ [e cm], within future prospect
- ★ direct detection and EDM complement to each other

Backup slides

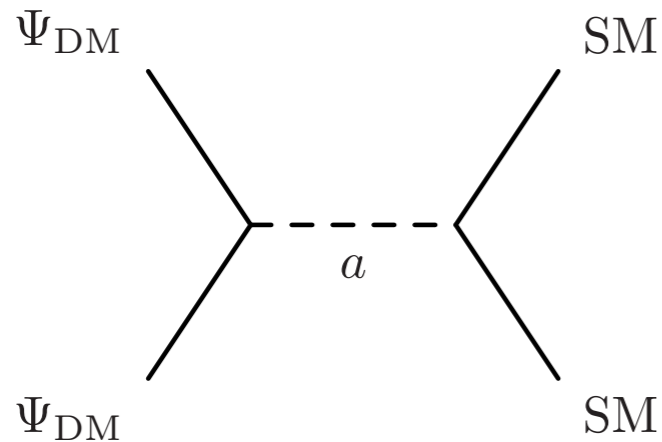
Introduction

Motivation: Escape from strong constraints from DM direct detection



two simple realizations of the pseudo-scalar interaction

add **pseudo-scalar mediator** that couple both to DM and SM

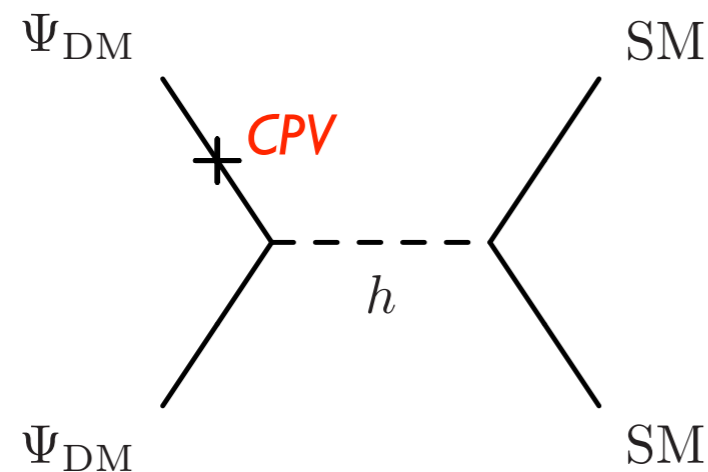


- SM + dark sector + pseudo-scalar boson

Boehm et.al I401.6458, Berlin et.al I502.06000, ...

Ghorbani I408.4929, Baek, Ko, Liu I701.04131, Bauer Haisch Kahlhoefer I701.07427, ...

use the Higgs as a mediator with **CP violation** in dark sector



- SM + dark sector + CPV
- new scalars are not necessary

yukawa and M_2 values in blind spot

