

Higgs self-coupling @FCC-hh

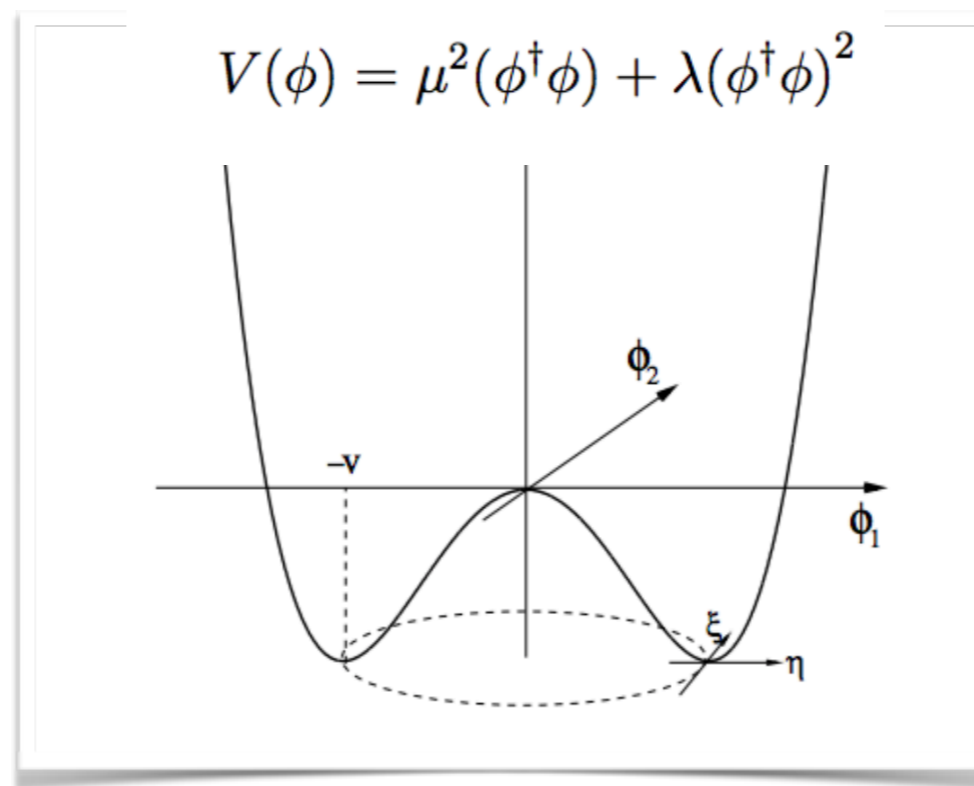
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Giacomo Ortona (LLR)

Why measure HH?

- Measure HH gives access to the magnitude of the **Higgs self-interaction**:

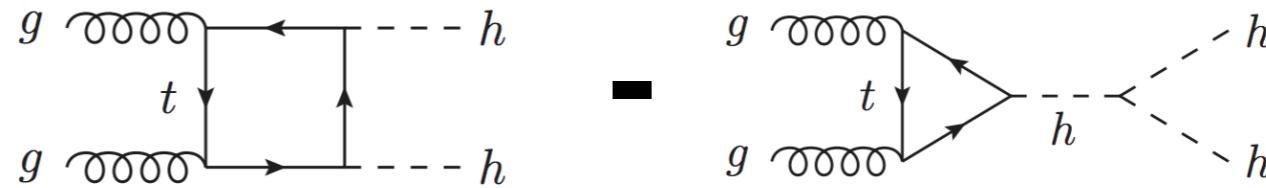
$$V = \lambda v^2 H^2 + \lambda v H^3 + \frac{\lambda}{4} H^4$$

- Shape of the **Higgs potential** is determined by the self coupling value (EWPT)

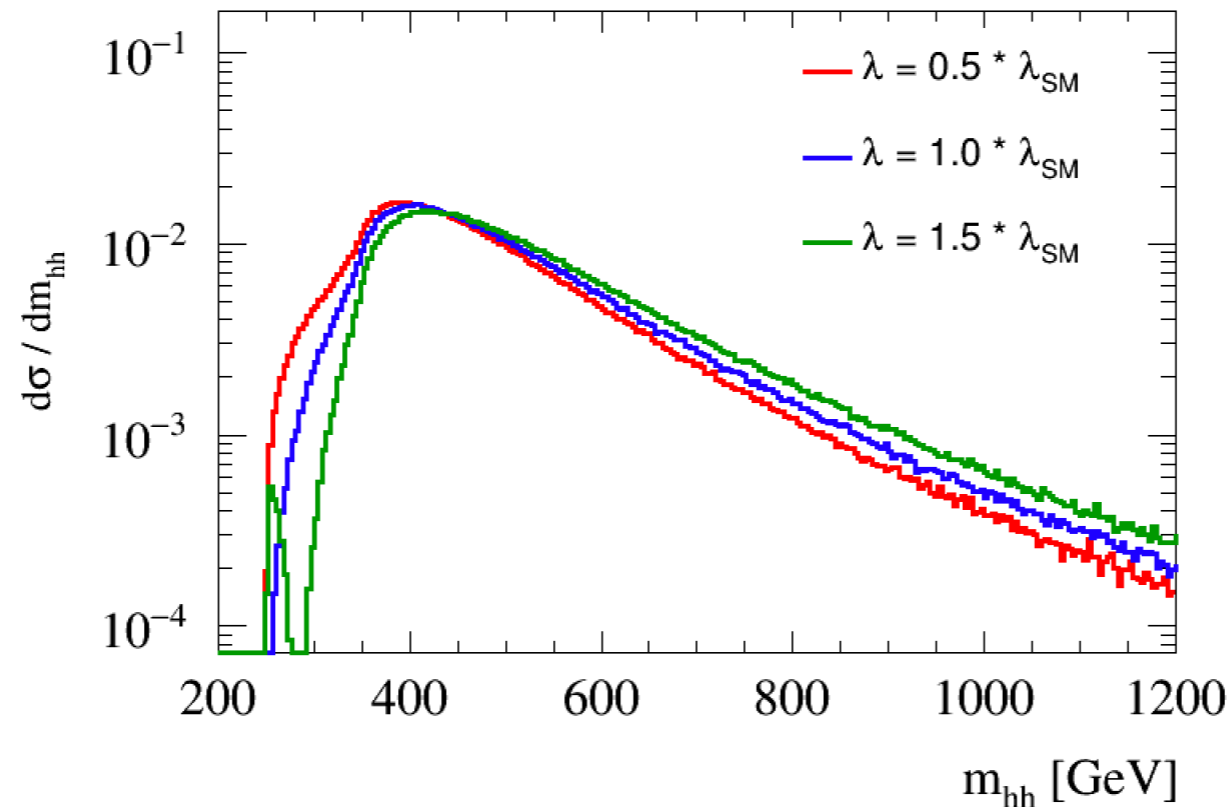


HH@ FCC-hh: production

gluon fusion:

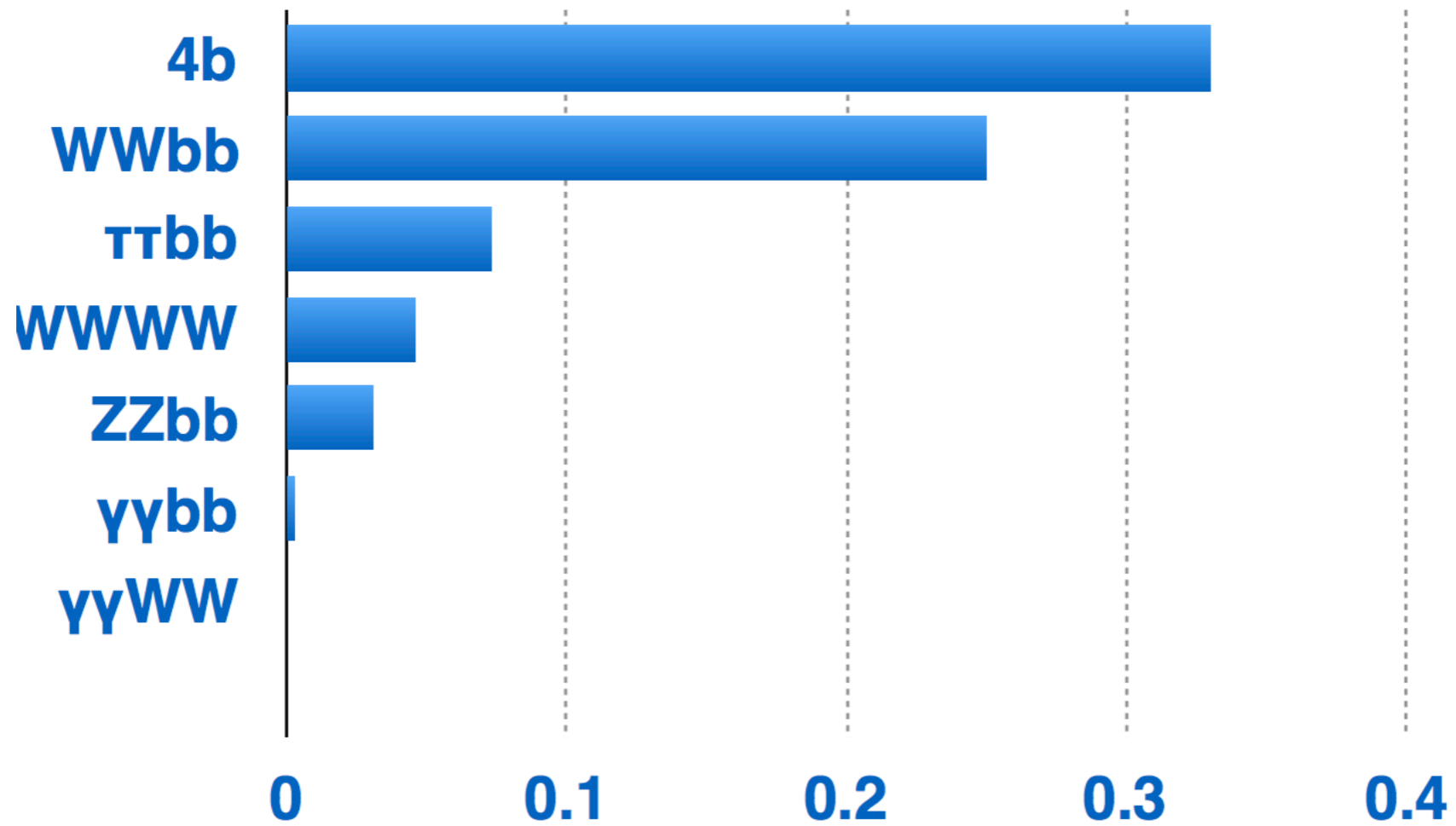


- negative interference between **box** and **triangle**
- high m_{hh} region suppressed by off-shell propagator in triangle (and dominated by box)

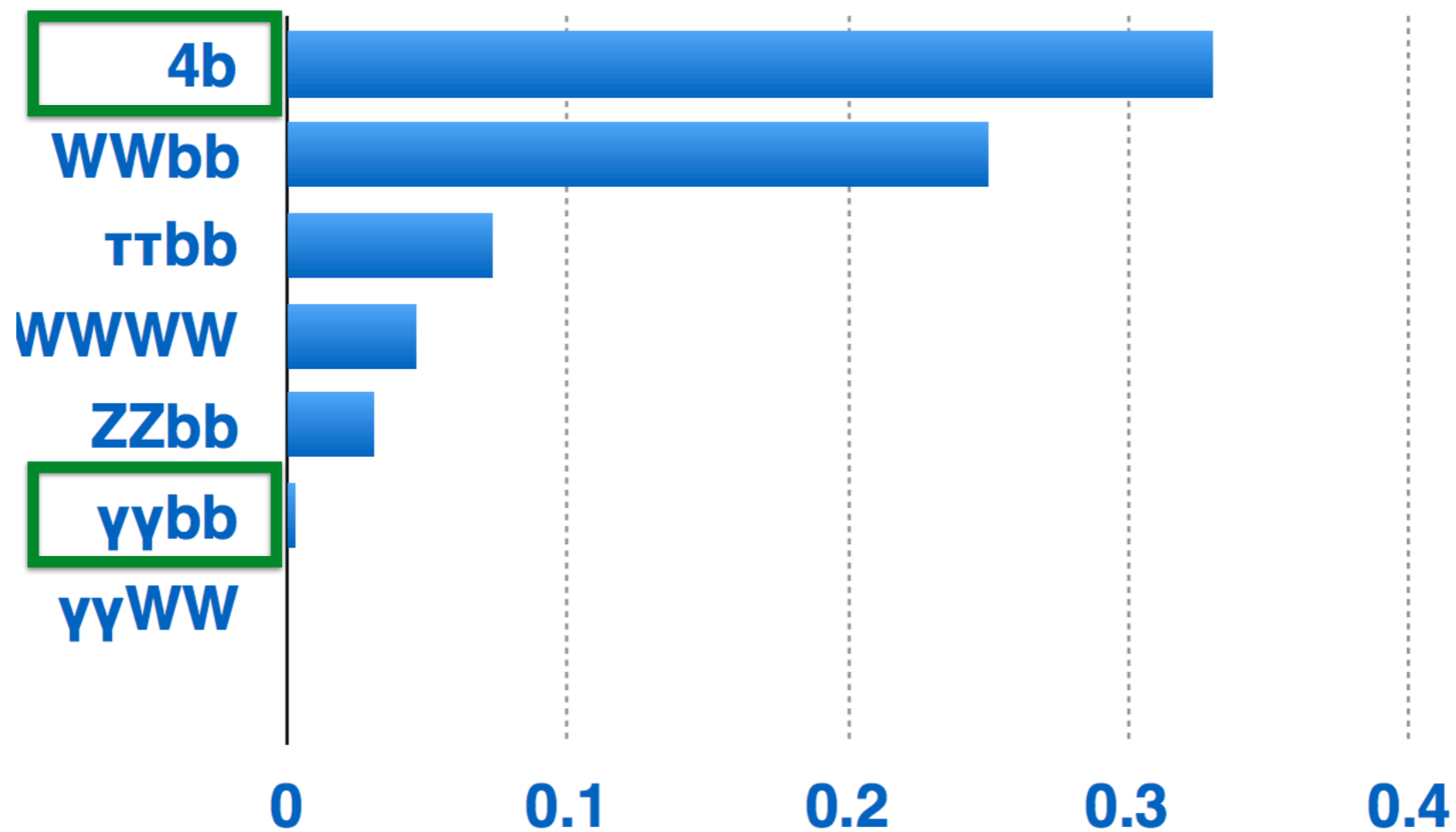


→ sensitivity to the self-coupling is determined by **low m_{hh} region**

HH@ FCC-hh: decay modes



HH@ FCC-hh: decay modes



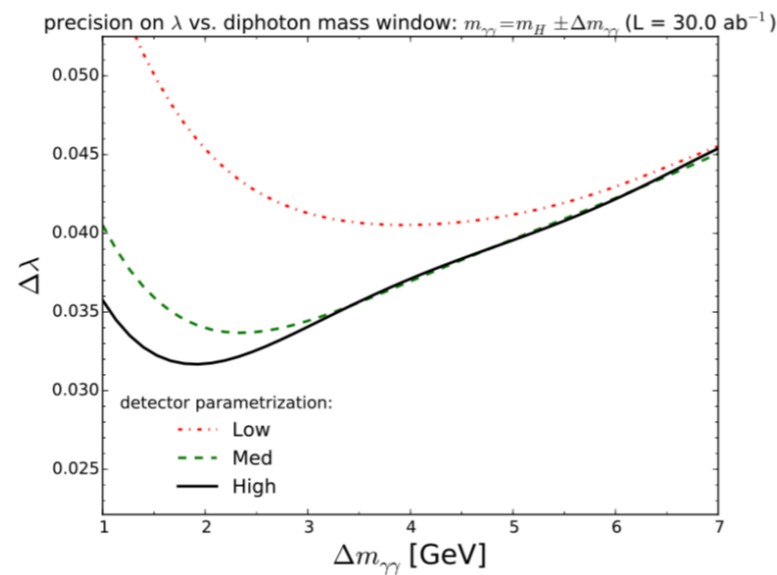
are discussed here ...

bbγγ

Baseline

[R. Contino, C. Englert, G. Panico, A. Papaefstathiou, J. Ren, MS, M. Son, M. Spannowsky, W. Yao]

- Detailed analysis performed in 2016 (summarised in the Yellow Report [1606.09408])
 - cut-based analysis
 - reported sensitivity on λ after 30 ab^{-1} at 100 TeV
 - studied impact of detector performance, systematics, background normalisation

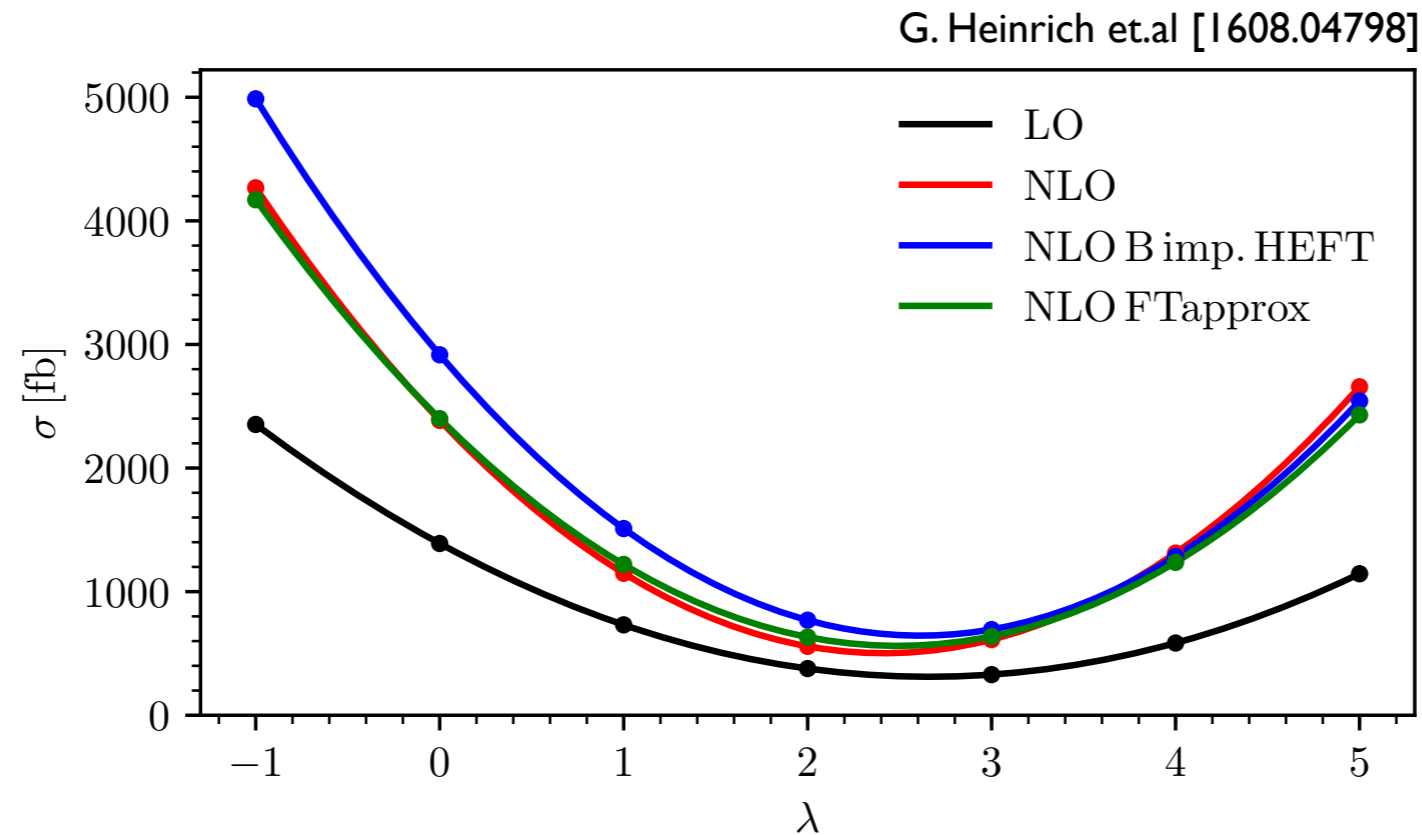


	$\Delta_S = 0.00$	$\Delta_S = 0.01$	$\Delta_S = 0.015$	$\Delta_S = 0.02$	$\Delta_S = 0.025$
$r_B = 0.5$	2.7%	3.4%	4.1%	4.9%	5.8%
$r_B = 1.0$	3.4%	3.9%	4.6%	5.3%	6.1%
$r_B = 1.5$	3.9%	4.4%	5.0%	5.7%	6.4%
$r_B = 2.0$	4.4%	4.8%	5.4%	6.0%	6.8%
$r_B = 3.0$	5.2%	5.6%	6.0%	6.6%	7.3%

To be updated:

- up-to-date parton shower/underlying event modelling (Pythia8 vs Pythia6)
- more recent FCC-hh detector description (4T vs 6T, smaller detector size)
- QCD background generation using 5f scheme ($jj\gamma$, $jj\gamma\gamma$)
- Up-to-date k-factors for backgrounds ($t\bar{t}H$) and signal (λ -dependent)

Production



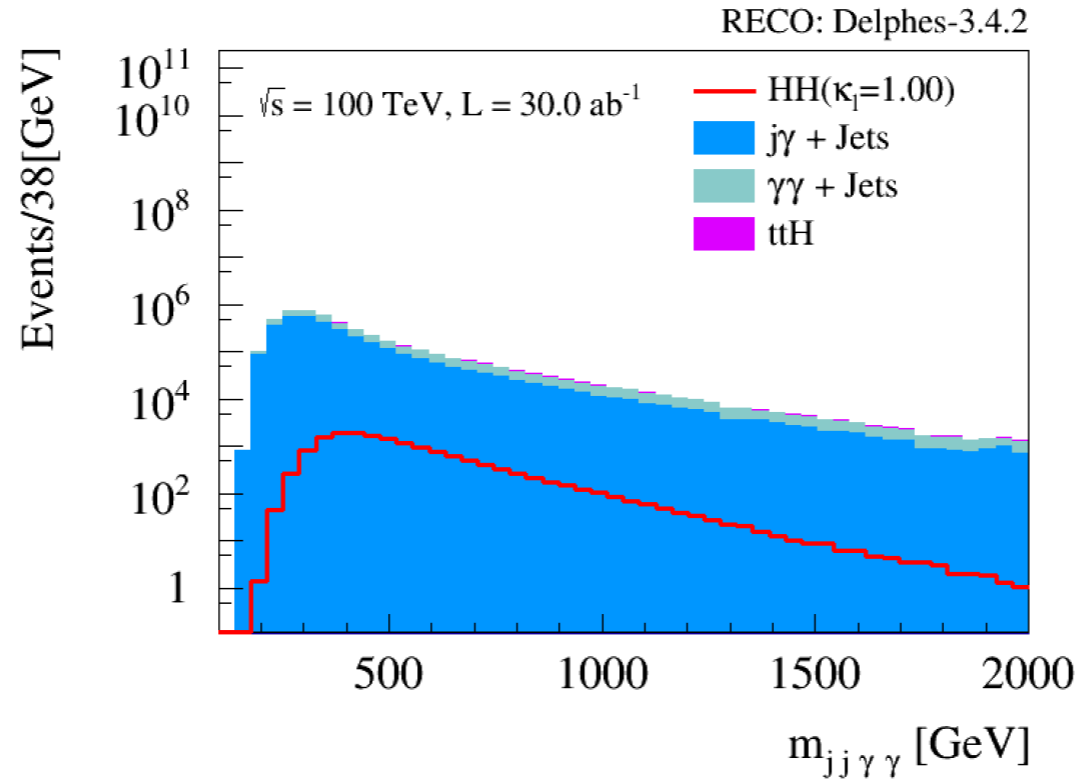
- Higher order in QCD helps λ -dependent K-factor sensitivity (not only the rate)
→ included here!
- Total rate still taken to be given by NNLL+NNLO in EFT (although known to be overshooting by 20%), but missing the following (should compensate?):
 - higher orders other channel ($N^n\text{LO}$, $n>2$)
 - VBF-HH/ttHH

Selection

[1606.09408]

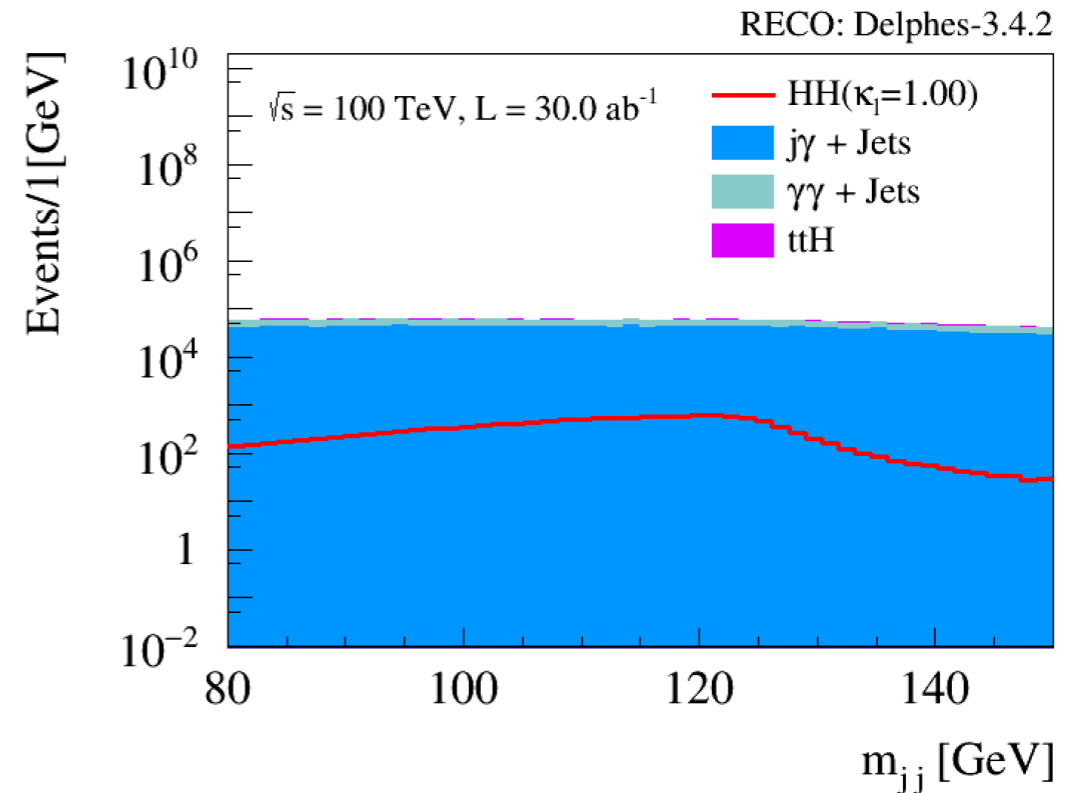
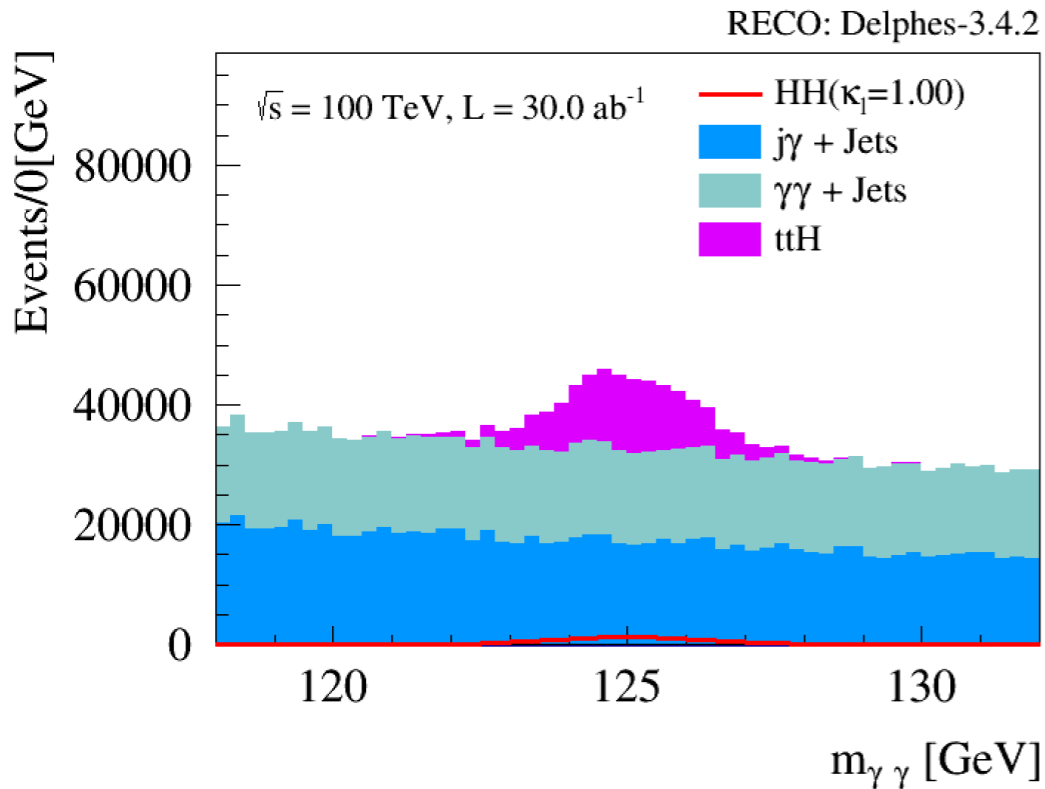
Acceptance cuts

- γ isolation $R = 0.4$
- $(p_T(had)/p_T(\gamma) < 0.15)$
- jets: anti- k_T , parameter $R = 0.4$
- $|\eta_{b,\gamma,j}| < 6$
- $p_T(b), p_T(\gamma), p_T(j) > 35$ GeV
- $m_{bb} \in [60, 200]$ GeV
- $m_{\gamma\gamma} \in [100, 150]$ GeV



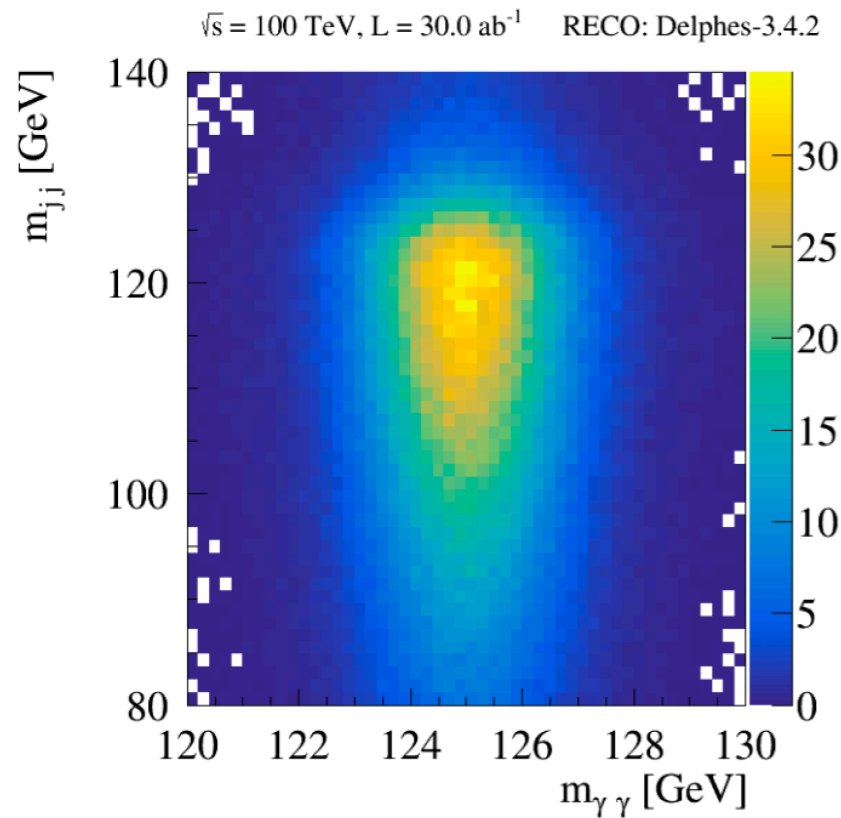
Final selection

- γ isolation $R = 0.4$
- $(p_T(had)/p_T(\gamma) < 0.15)$
- jets: anti- k_T , parameter $R = 0.4$
- $|\eta_{b,\gamma}| < 4.5$
- $p_T(b_1), p_T(\gamma_1) > 60$ GeV
- $p_T(b_2), p_T(\gamma_2) > 35$ GeV
- $m_{bb} \in [100, 150]$ GeV
- $p_T(bb), p_T(\gamma\gamma) > 100$ GeV
- $\Delta R(bb), \Delta R(\gamma\gamma) < 3.5$
- no isolated leptons with $p_T > 25$ GeV

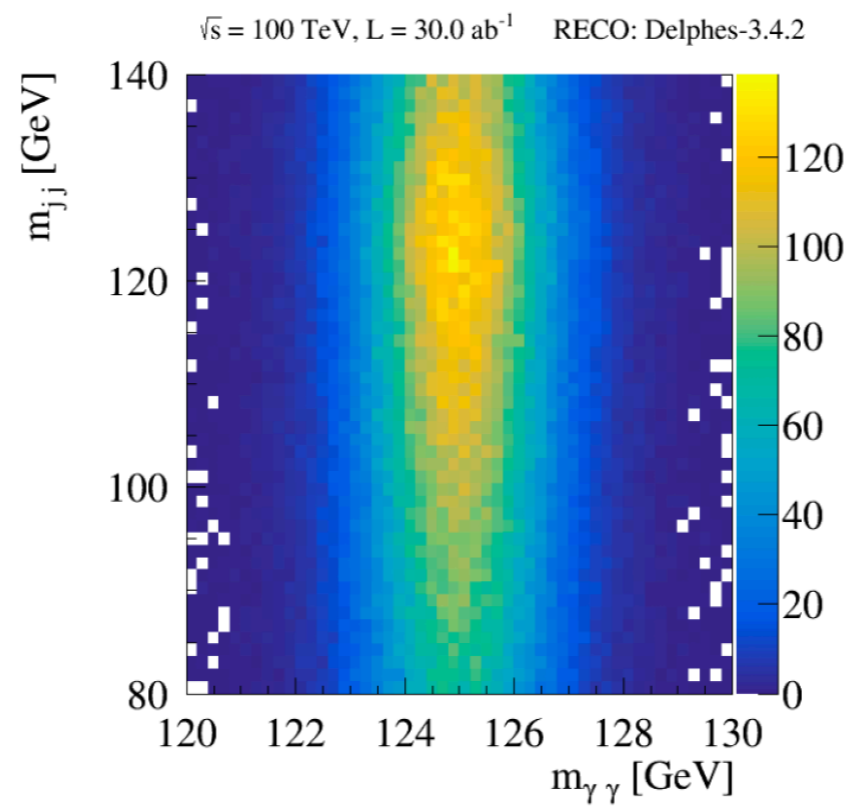


2D shapes

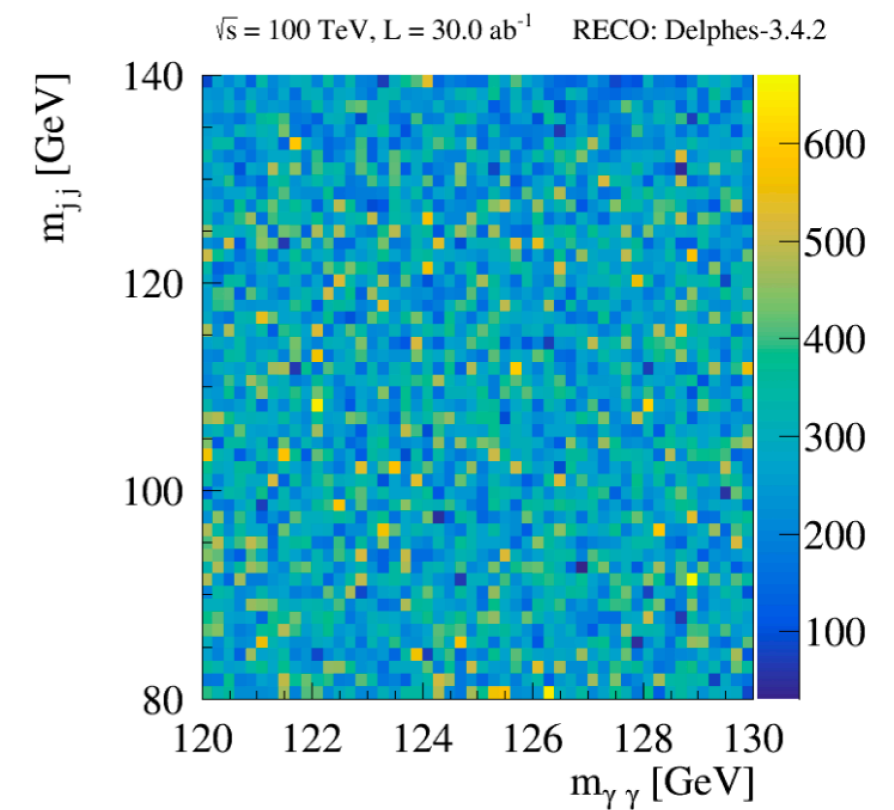
HH



ttH



QCD



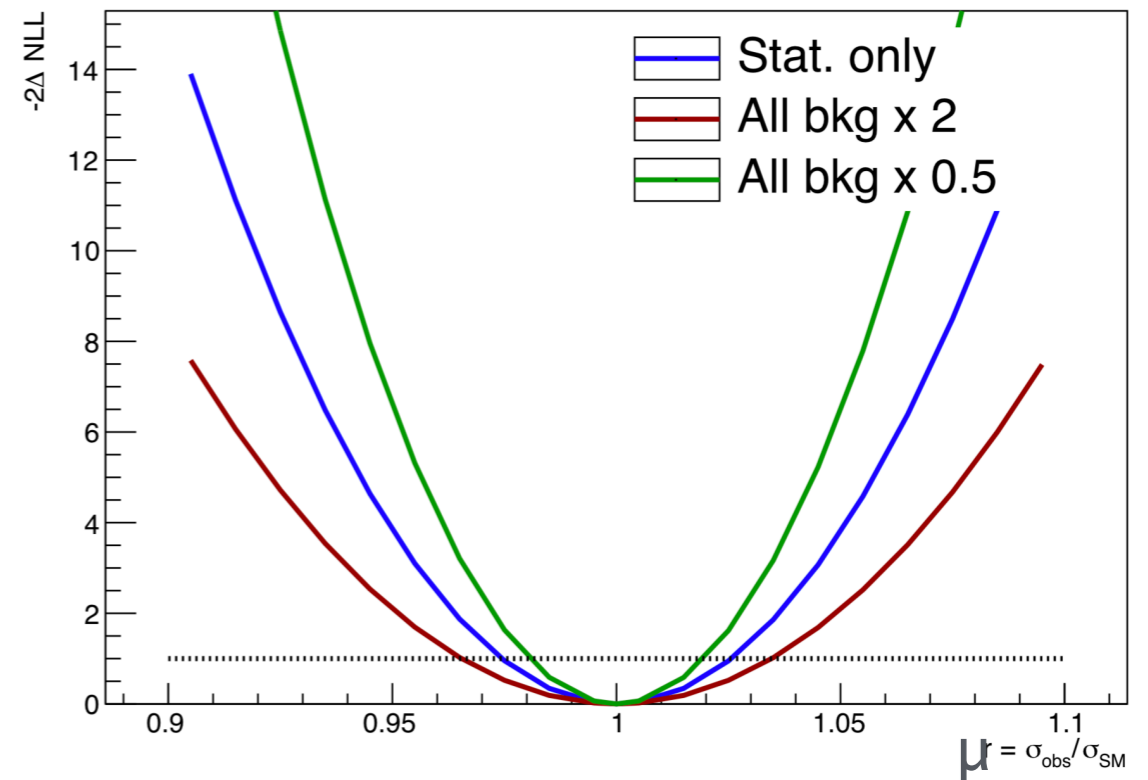
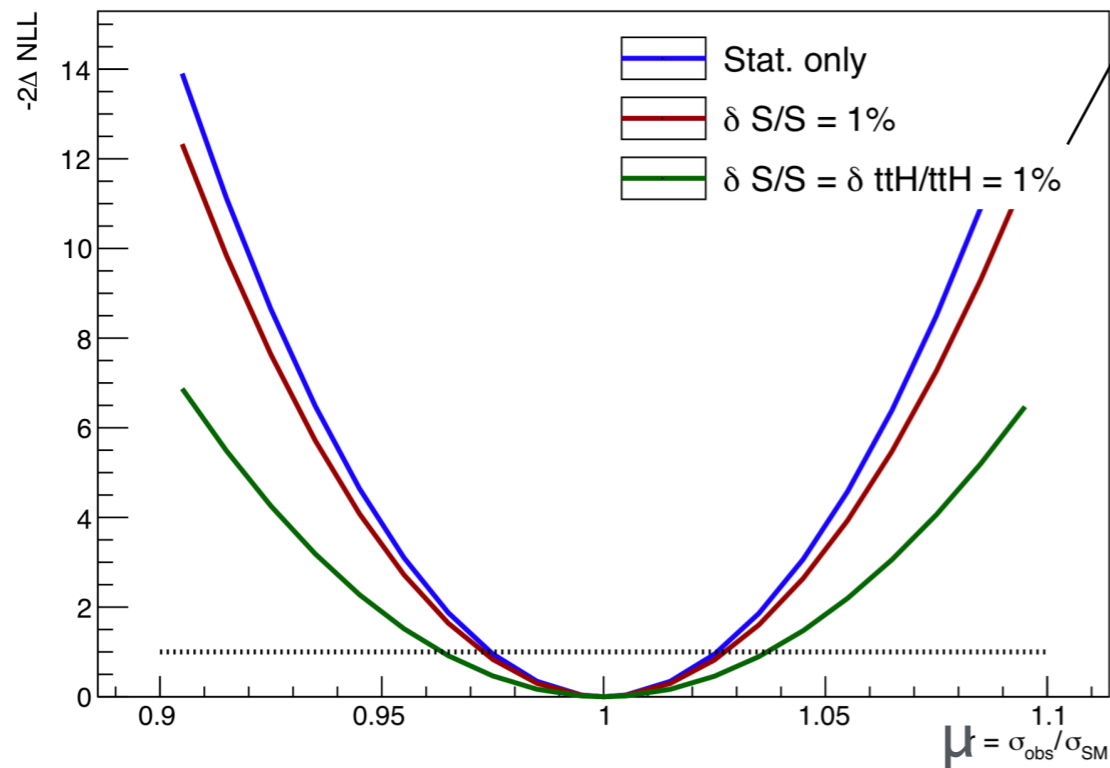
- exploit correlations of means if the signal, ex: $m_{\gamma\gamma}$ vs m_{bb}
- build template model in 2D on λ using splines (morphing)
- perform 2D Likelihood fit on the signal strength and coupling modifier:

$$\mu = \sigma_{\text{obs}} / \sigma_{\text{SM}}$$

$$\kappa_{\lambda} = \lambda_{\text{obs}} / \lambda_{\text{SM}}$$

Precision on the signal strength

assuming QCD can be measured from sidebands



nominal background yields:

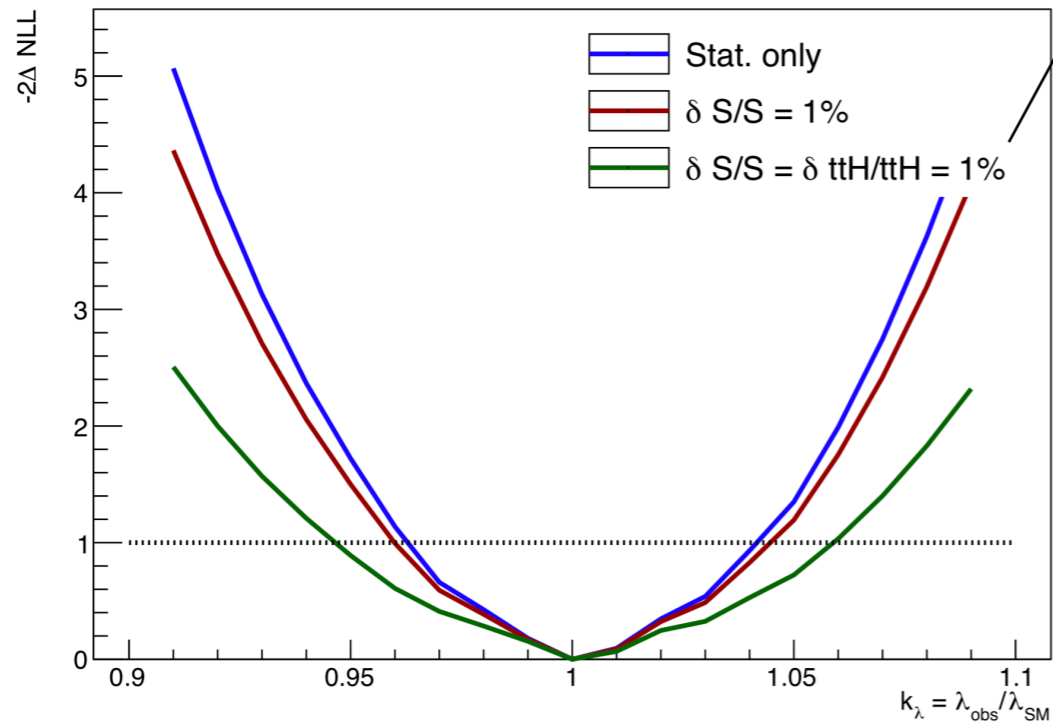
$$\begin{aligned} \delta\mu(\text{stat}) &\approx 2.5\% \\ \delta\mu(\text{stat} + \text{syst}) &\approx 4\% \end{aligned}$$

varying (0.5x-2x) background yields:

$$\delta\mu(\text{stat}) \approx 2 - 4\%$$

Precision on the self-coupling

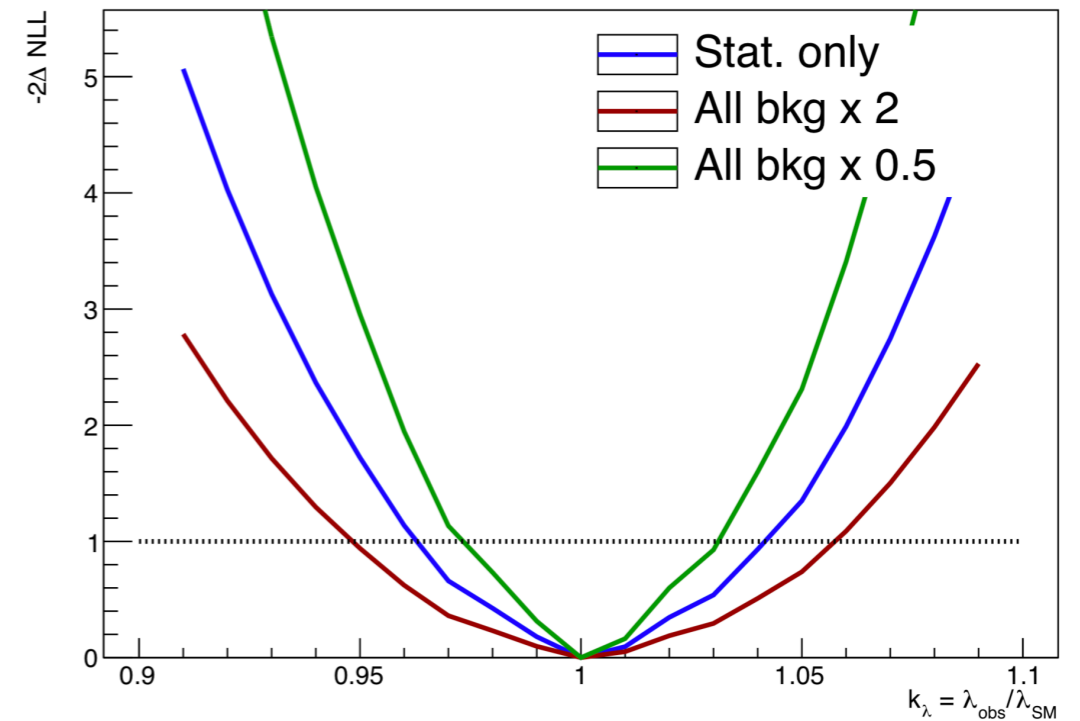
assuming QCD can be measured from sidebands



nominal background yields:

$$\delta\kappa_\lambda(\text{stat}) \approx 3.5\%$$

$$\delta\kappa_\lambda(\text{stat} + \text{syst}) \approx 6\%$$



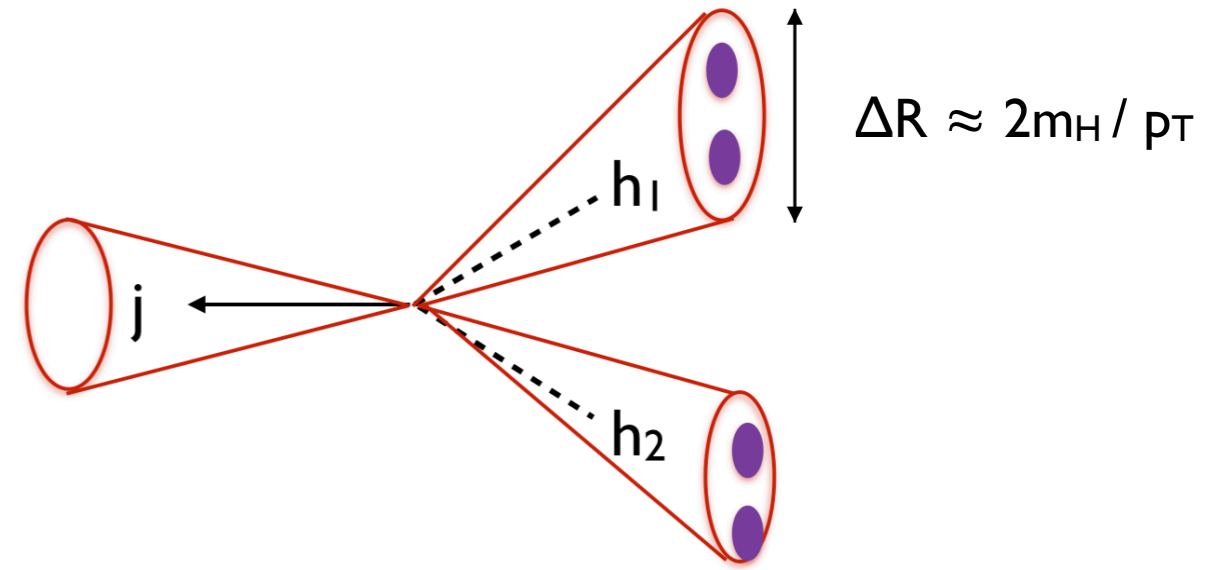
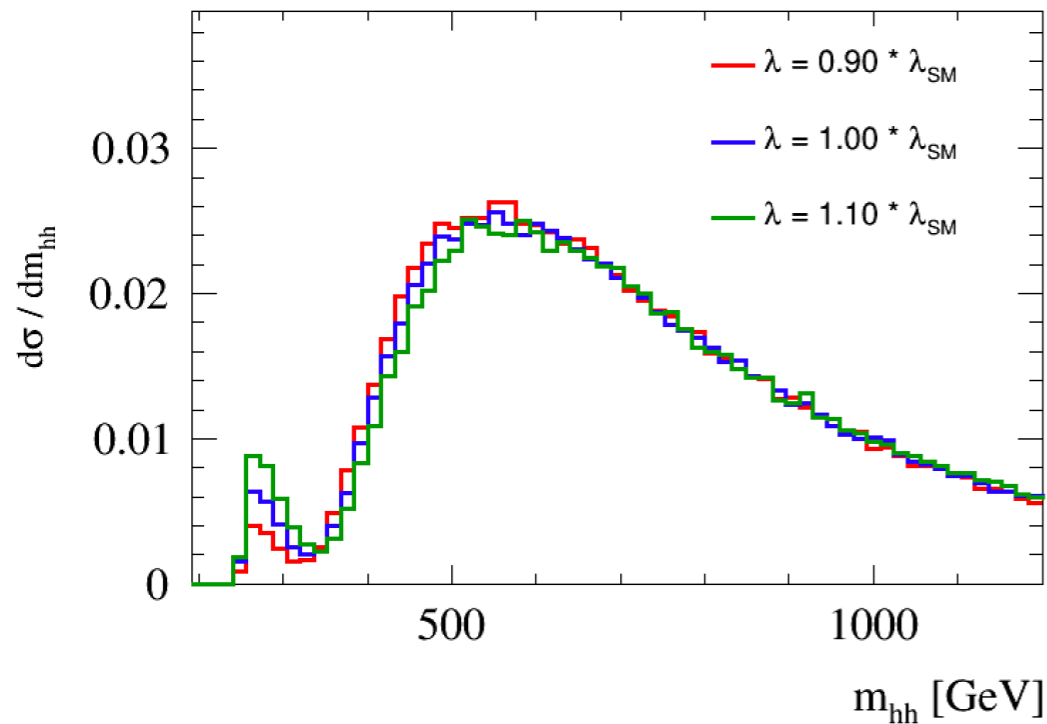
varying (0.5x-2x) background yields:

$$\delta\kappa_\lambda(\text{stat}) \approx 3 - 5\%$$

4b - boosted

PRELIMINARY!

Approach



- Exploit large branching ratio $BR(H \rightarrow bb)^2 \approx 0.3$
- Requiring a **boosted HH system recoiling against jet(s)**, contains the invariant mass to small values \rightarrow maintain sensitivity to the self-coupling
- In practice **low mass region** ($m_{HH} \approx 200$ GeV) is **unresolvable**:

$$m_{HH} \gtrsim p_T * 2R_{jet} \quad \text{and} \quad R_{jet} \gtrsim 2m_H/p_T$$

$$\Rightarrow m_{HH} \gtrsim 3-4 m_H$$

Signal and backgrounds

Backgrounds

- QCD: (double gluon to b-bar splitting recoiling against jet)
 - $p p \rightarrow 4b + j$ (or simply $p p \rightarrow j g g$)

$$\sigma^{4b+j} (p_T(j) > 500 \text{ GeV}) \sim 57 \text{ pb} (10^9 @ 30\text{ab}^{-1})$$

- ttbar, ZH ...

Signal

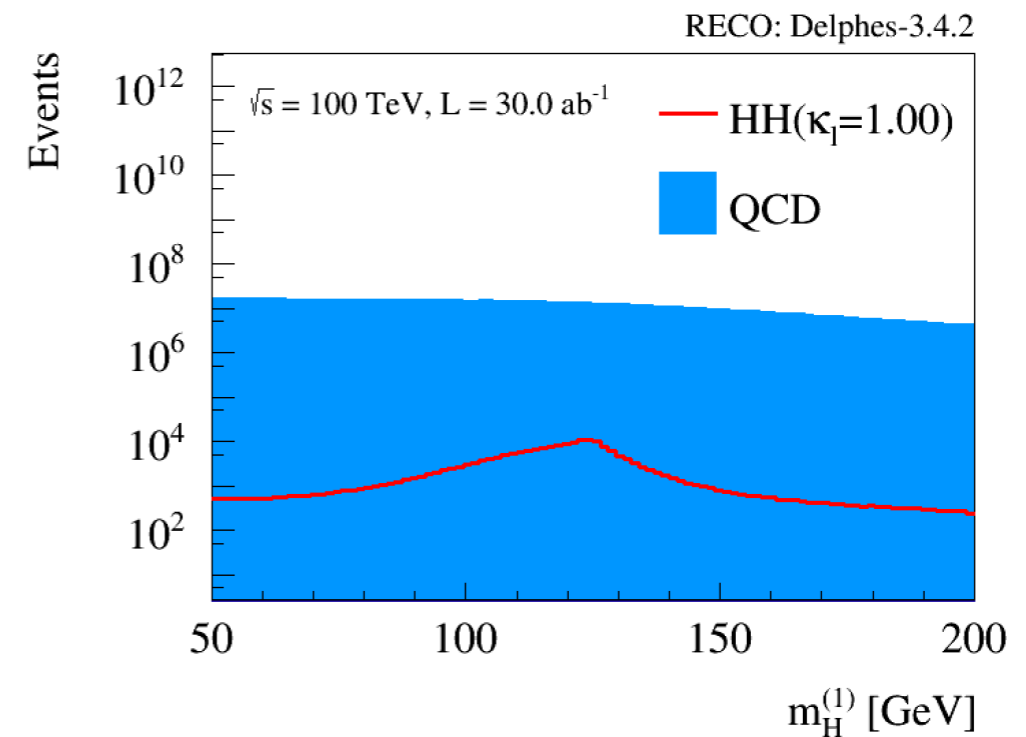
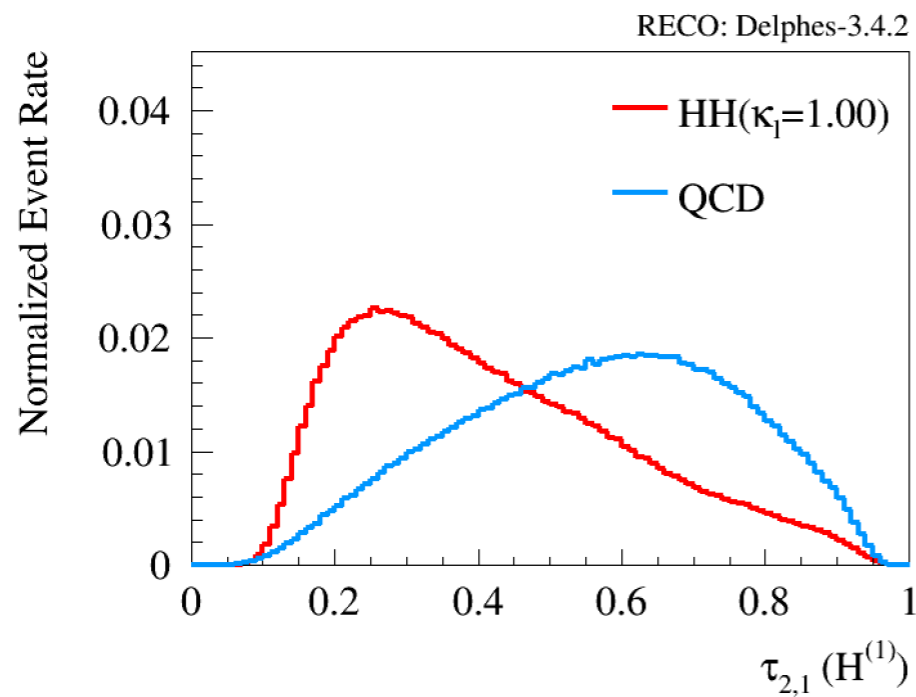
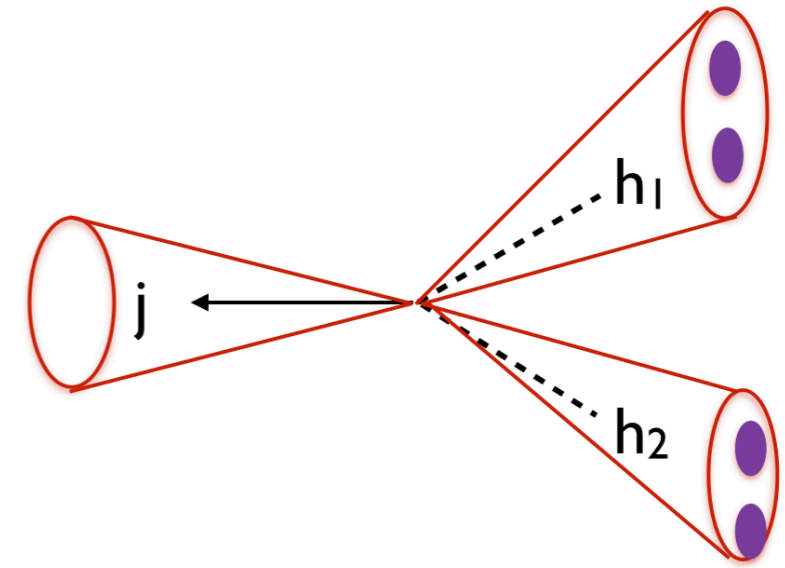
- $p p \rightarrow h h + j$

$$\sigma^{hh+j} (p_T(j) > 500 \text{ GeV}) \sim 4 \text{ fb} (10^5 @ 30\text{ab}^{-1})$$

If aim for % level precision, need $S, B \gtrsim 10^4$ after cuts:
, i.e. a factor of 10^5 in background rejection \rightarrow very hard !!
 \rightarrow explore lower $p_T(hh)$ range as well

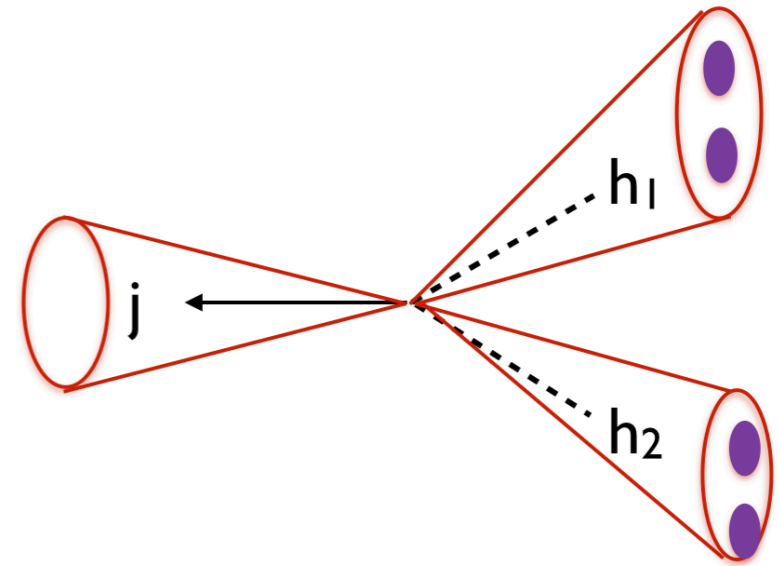
Selection strategy

- Boost the di-Higgs system:
 - $p_T(h_1 h_2) > 400 \text{ GeV}$
- Preselection: Require $\gtrsim 2$ b-tagged fatjets $R = 0.8$
 - $p_T(h_1) > 300 \text{ GeV}$ and $|\eta_1| < 3.0$
 - $p_T(h_2) > 200 \text{ GeV}$ and $|\eta_2| < 3.0$



Analysis strategy

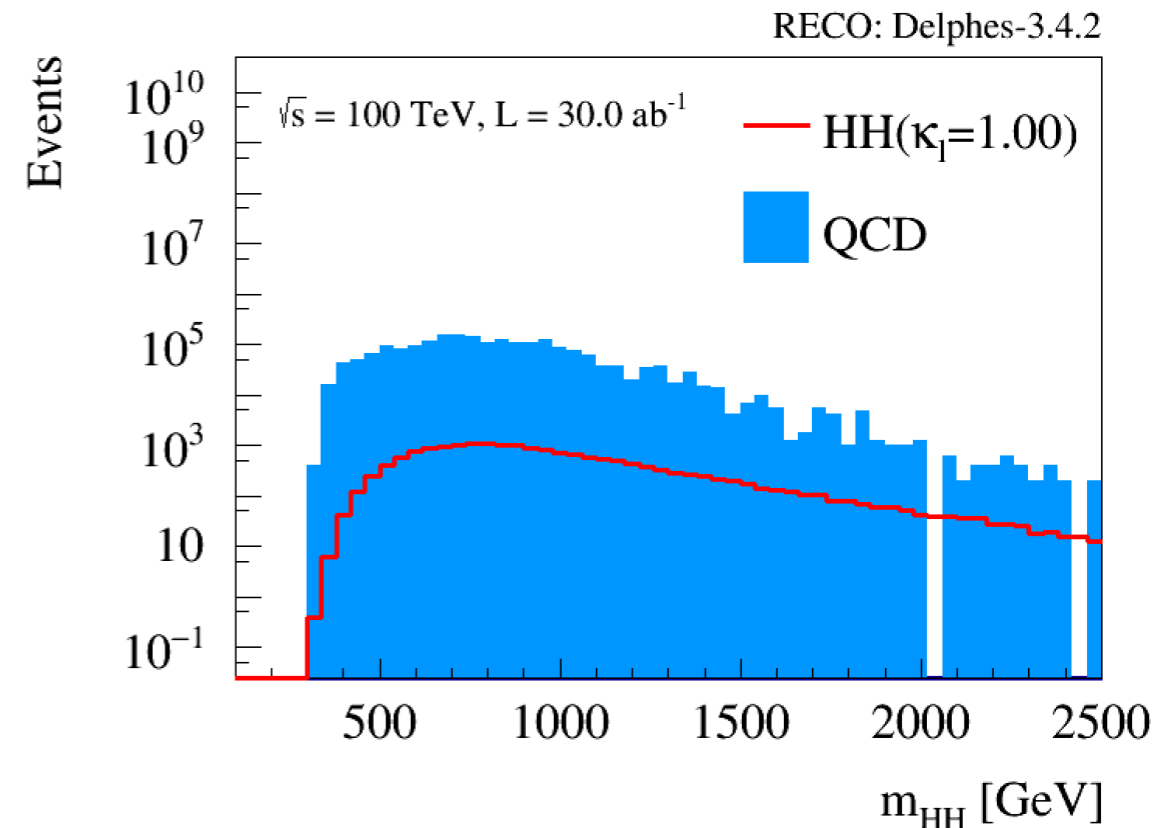
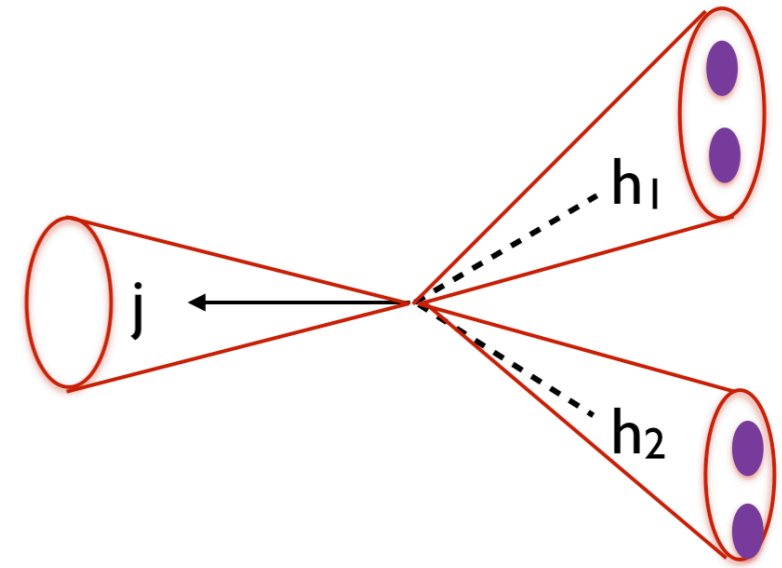
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- Higgs tagging:
 - $100 < m_{SD}(h_1) < 130$ and $\tau_{2,1}(h_1) < 0.4$
 - $100 < m_{SD}(h_2) < 130$ and $\tau_{2,1}(h_2) < 0.4$



Analysis strategy

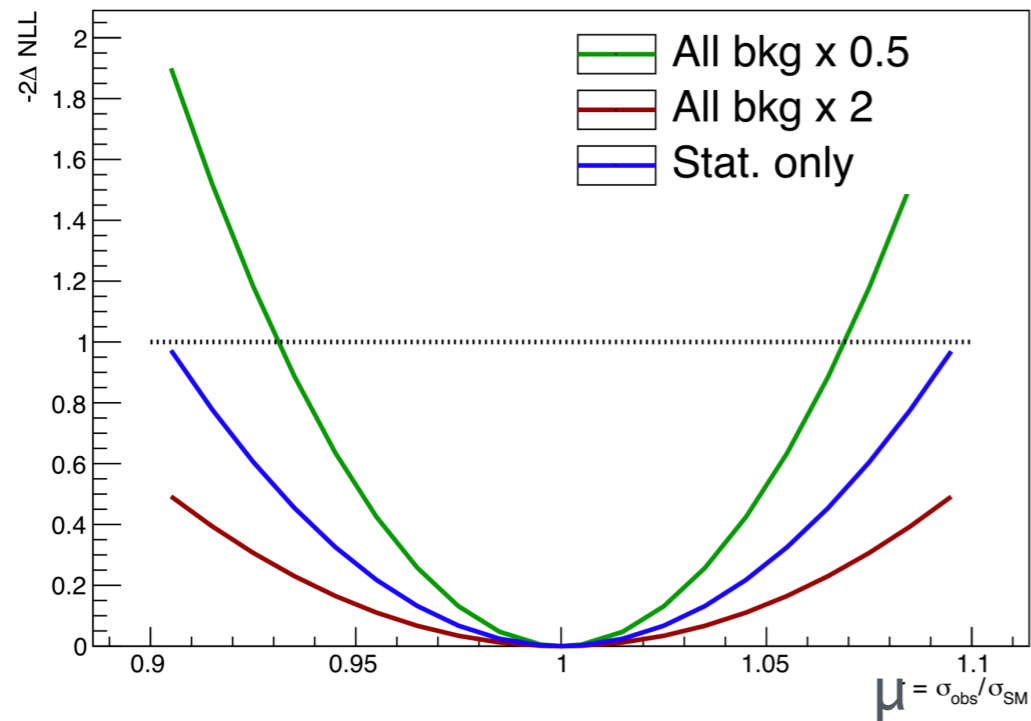
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\Rightarrow fit the m_{HH} spectrum

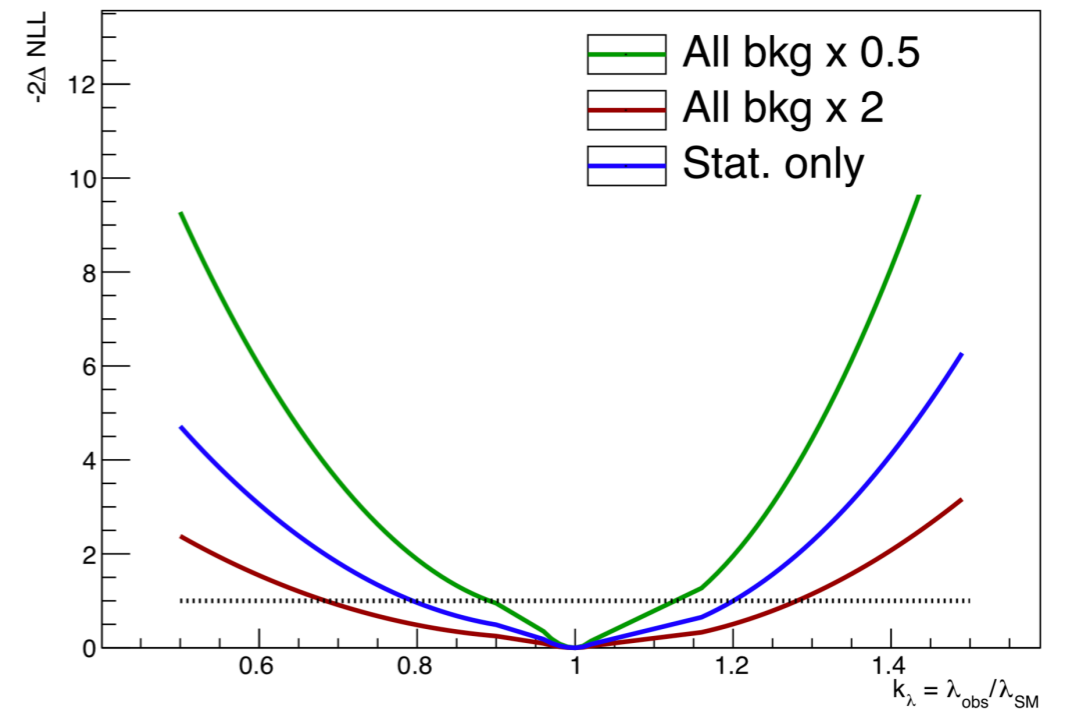


Expected sensitivity

varying (0.5x-2x) background yields:



$\delta\mu(\text{stat}) \approx 10 - 20 \%$



$\delta\kappa_\lambda(\text{stat}) \approx 15 - 30 \%$

Conclusions & outlook

- $HH \rightarrow b\bar{b}\gamma\gamma$ analysis has been performed with more recent detector description and new MC samples
 - small differences have been observed but overall comparable performance on sensitivity $\delta\kappa_\lambda(\text{stat}) \approx 3.5\%$
- HH recoil displays lower performance due to huge QCD background
 - sensitivity found $\delta\kappa_\lambda(\text{stat}) \approx 20\%$
 - can definitely be further improved by using state-of-the-art boosted techniques (here simple m_{SD} and $\tau_{2,1}$ cuts), optimising cone size, p_T range, etc ...
- In either case, the following can help:
 - including other production channels ($t\bar{t}HH$, VBF- HH)
 - using machine learning techniques at the preselection level
 - also higher order in QCD seem to increase sensitivity