

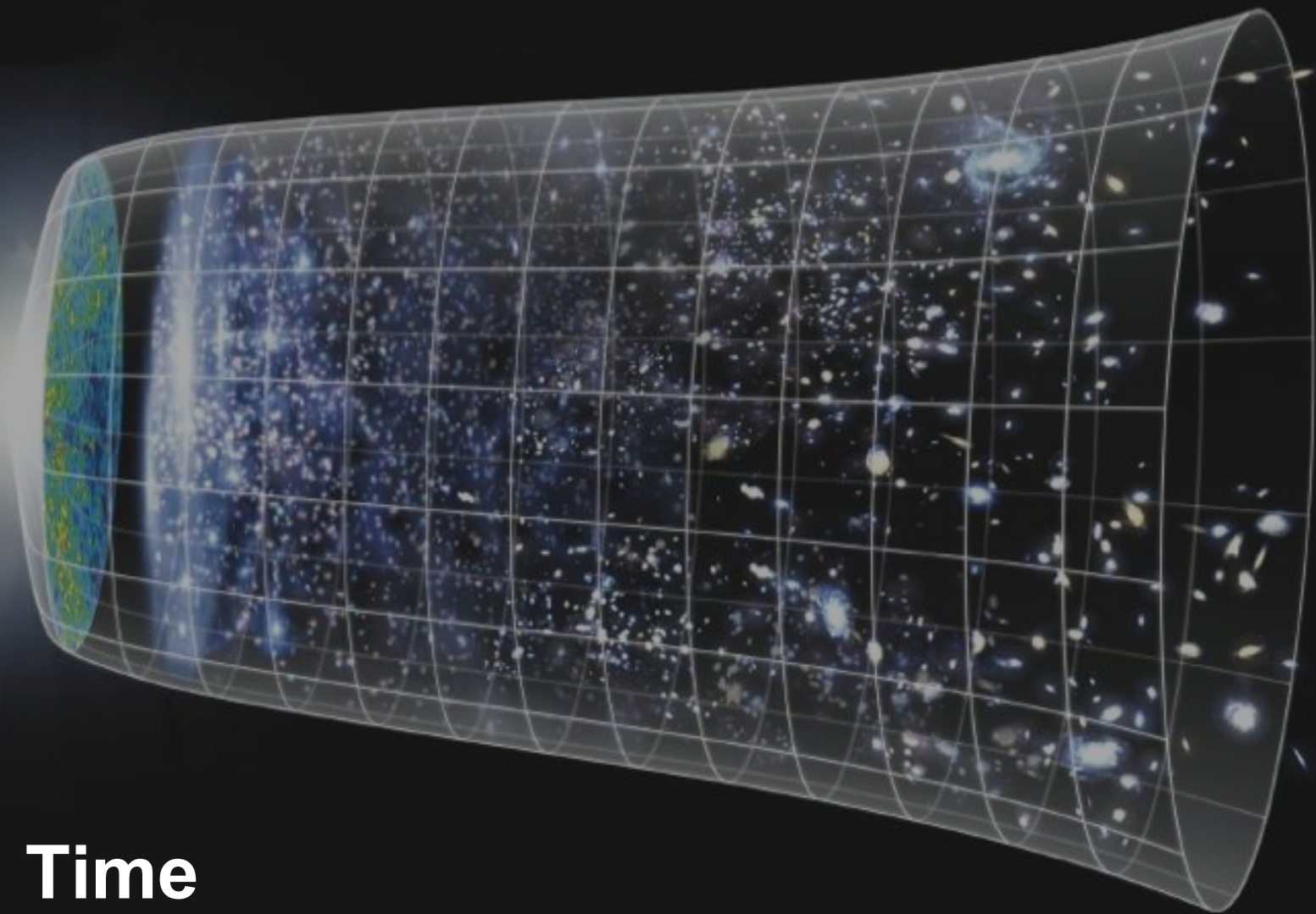
# Cosmology with Strong Gravitational Lenses

Phil Marshall (SLAC)

SLAC Summer Institute, August 2017



**The expansion of the Universe is accelerating**



**Time**



**and no-one knows why**

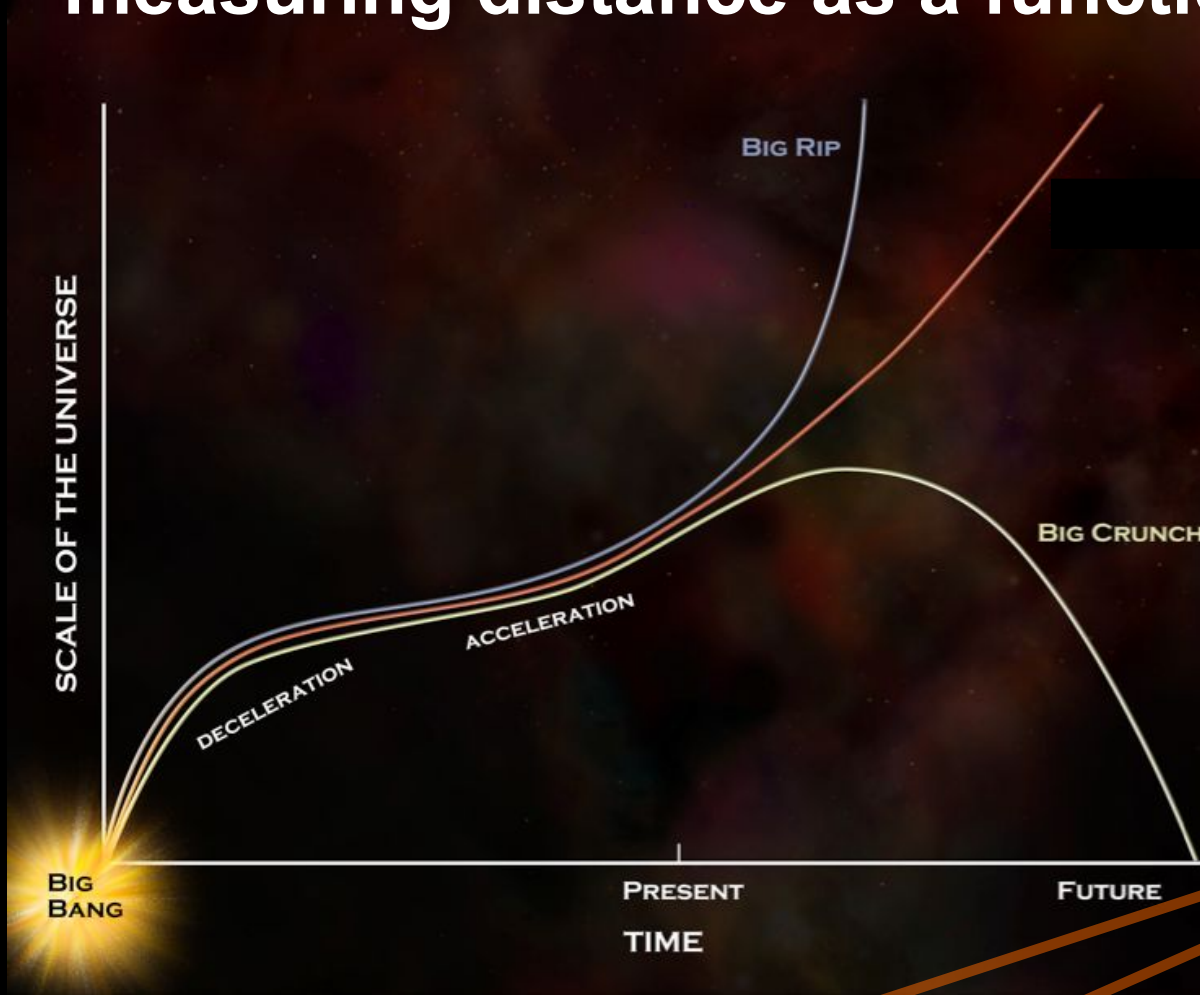
# Goals

- Understand the basic, multi-faceted technique of “time delay lens cosmography”
- Be able to interpret its results, and ask the right questions about its systematic errors
- See the research opportunities on offer

# Plan

- Introduction to time delay lenses, and how each one enables a cosmological distance measurement
- Time delay cosmography in practice:
  - Some recent results from the H0LiCOW project
  - Looking forward to hundreds of lenses with LSST
  - Residual systematic errors, and what we can do about them

# Reconstruct our acceleration history by measuring distance as a function of redshift



Hubble's Law:

$$cdt = a(t)dr \longrightarrow r = \int_0^z \frac{cdz}{H(z)}$$

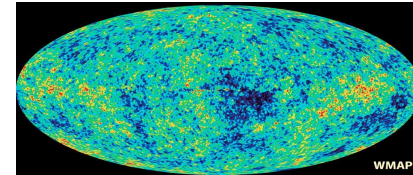
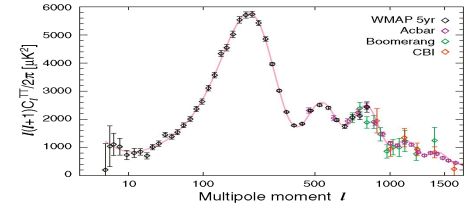
Measure distance  $D(r)$  and redshift  $z$ ,

Then *infer parameters*  $H_0$ ,  $w(a)$ , curvature *etc.*

$$H^2(a) = H_0^2 \left( \Omega_m a^{-3} + \Omega_X \exp \left[ 3 \int_{\log a}^0 (1 + w) d \log a \right] + \Omega_k a^{-2} \right)$$

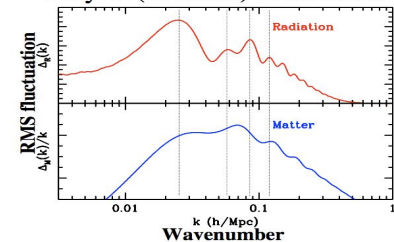
# Measuring Distance

- **Type Ia supernovae**: standard candles
- Fluctuations in the **Cosmic Microwave Background** radiation
- **Baryon Acoustic Oscillations** in the galaxy clustering power spectrum
- Periods of **Cepheid** variable stars in local galaxies
- **Clusters of galaxies** should contain the universal gas fraction wherever they are



(sound speed x age of universe) subtends  $\sim 1$  degree

Baryon (acoustic) oscillations

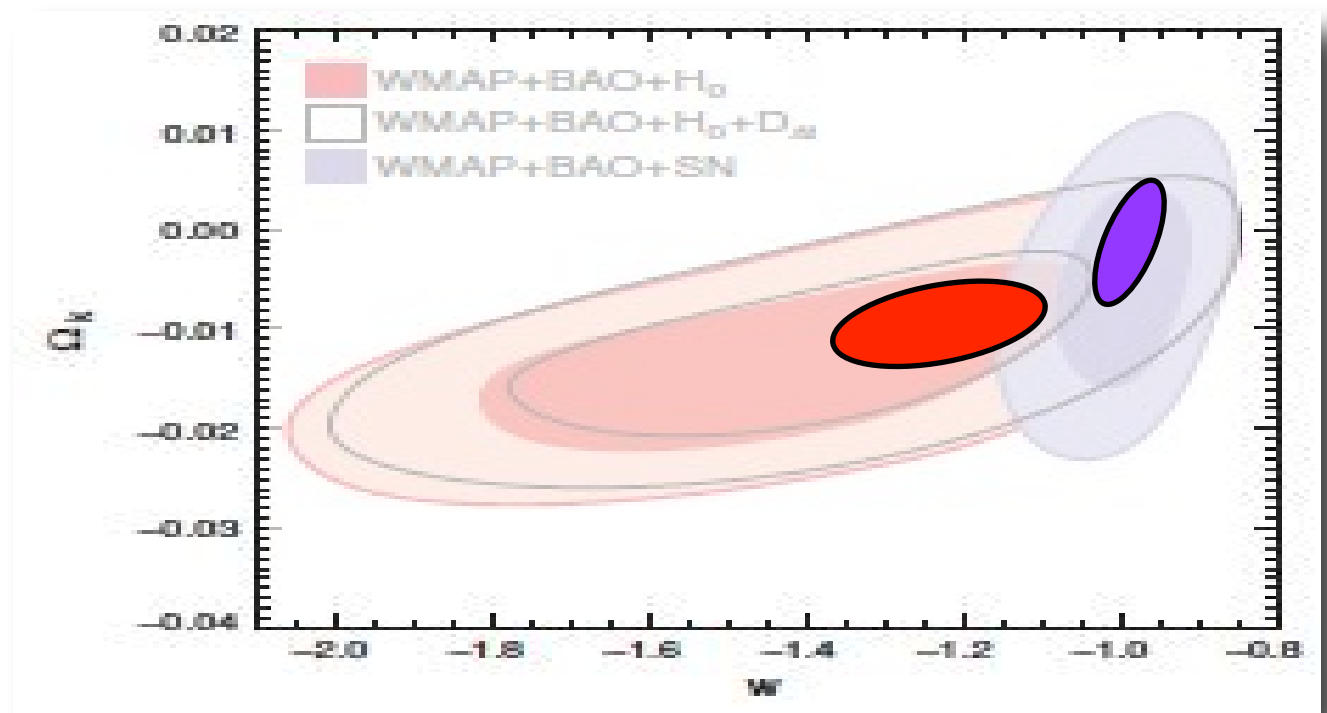


gas density fluctuations from CMB era are felt by dark matter - as traced by galaxies in the local(ish) universe

Do we need another one?

# Accurate Cosmology

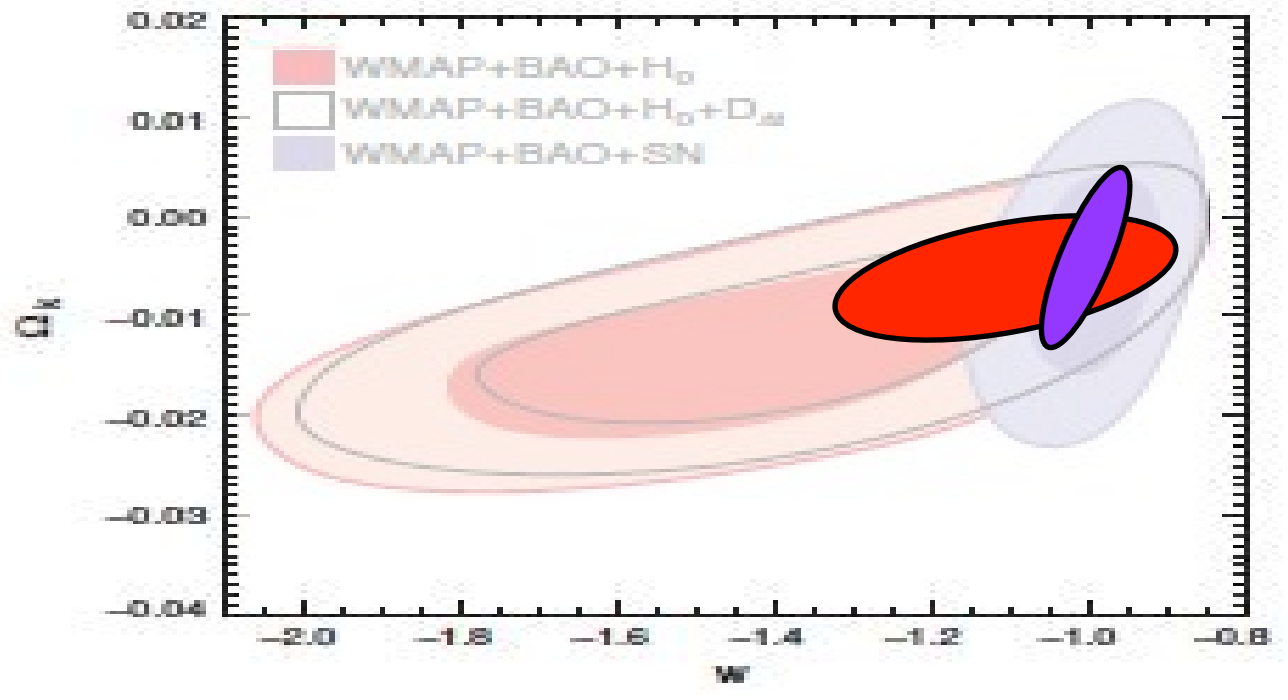
At high precision, systematic errors lead to dataset inconsistency:



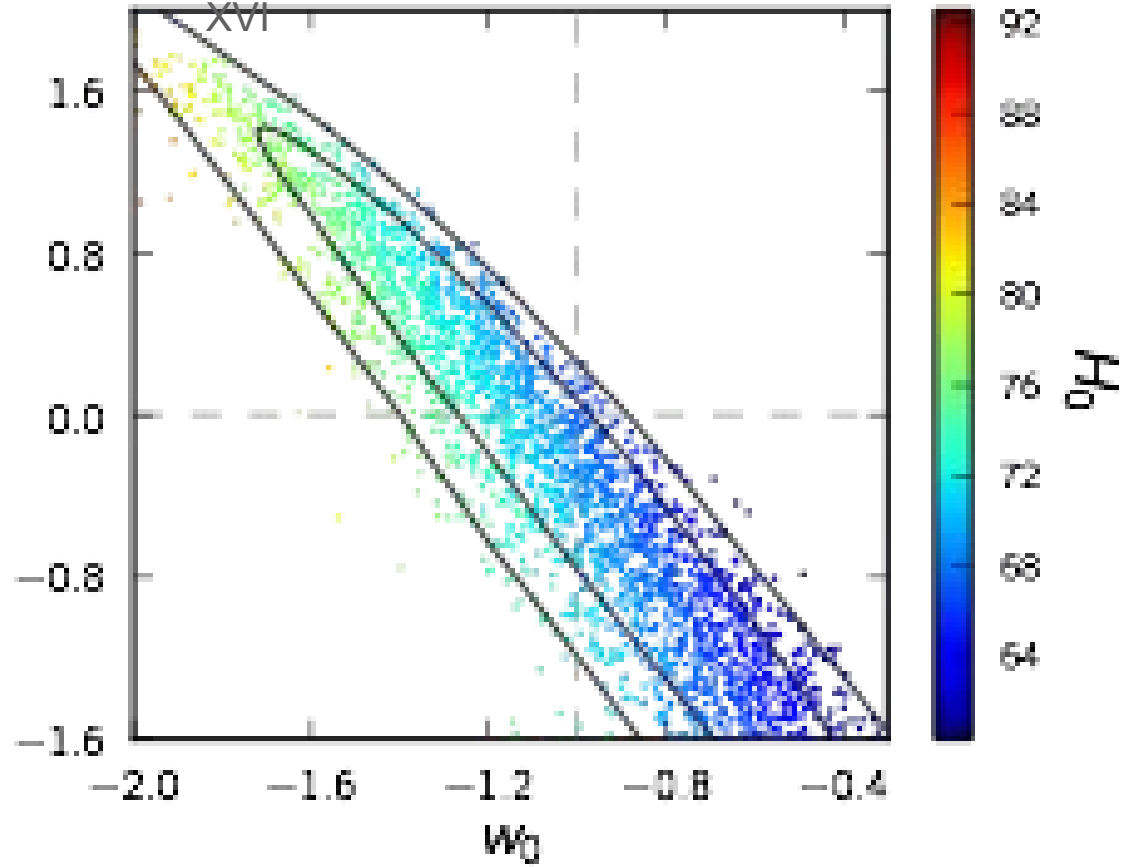
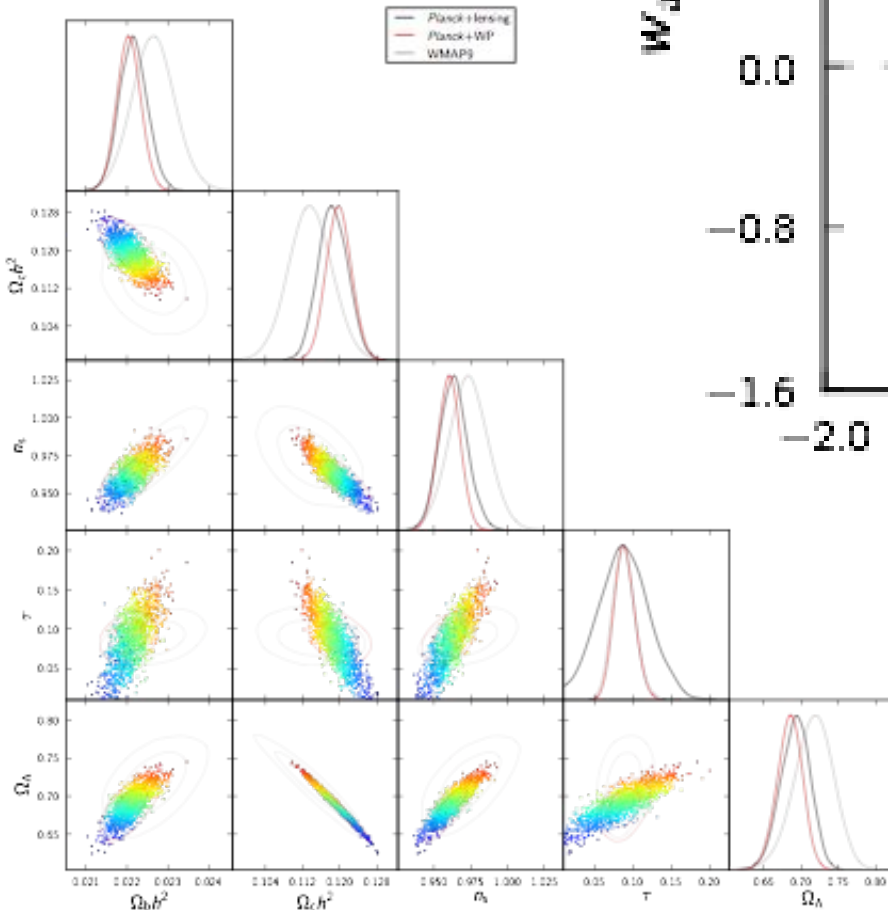


# Accurate Cosmology

When all measurements are systematics limited, we learn best by having **multiple datasets**, where each one provides roughly competitive precision in at least one parameter



# H<sub>0</sub> matters

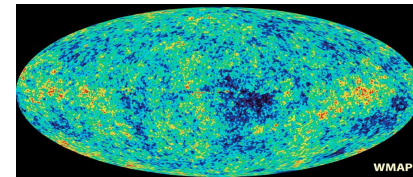
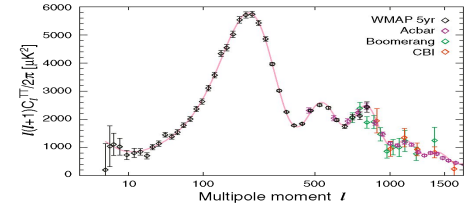


“Better measurements of  $H_0$  provide critical independent constraints on dark energy, spatial curvature of the Universe, neutrino physics, and validity of general relativity.”

Suyu et al 2012  
KIPAC workshop

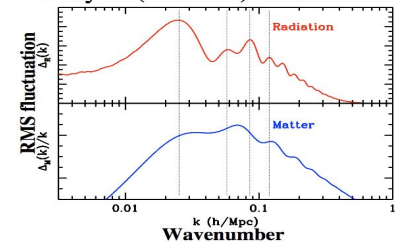
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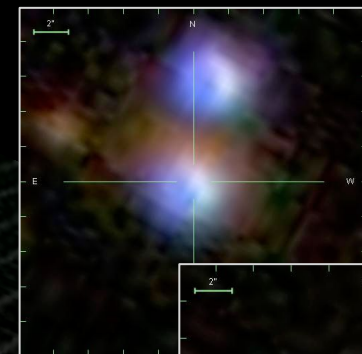
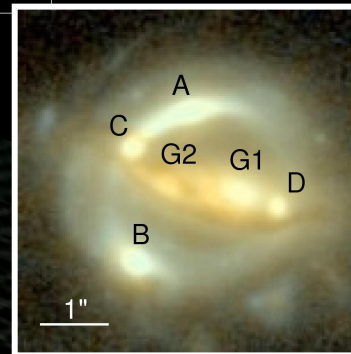
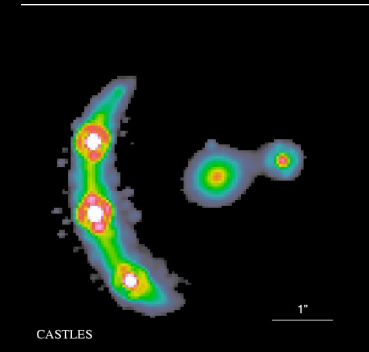
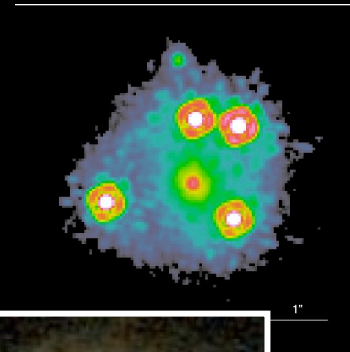
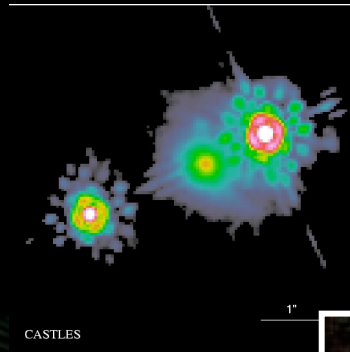
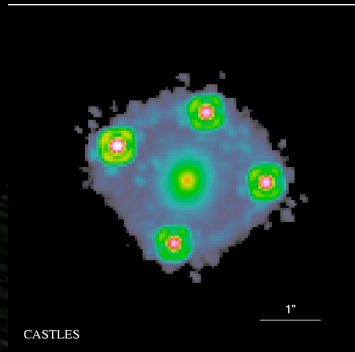
Baryon (acoustic) oscillations



gas density fluctuations from CMB era are felt by dark matter - as traced by galaxies in the local(ish) universe

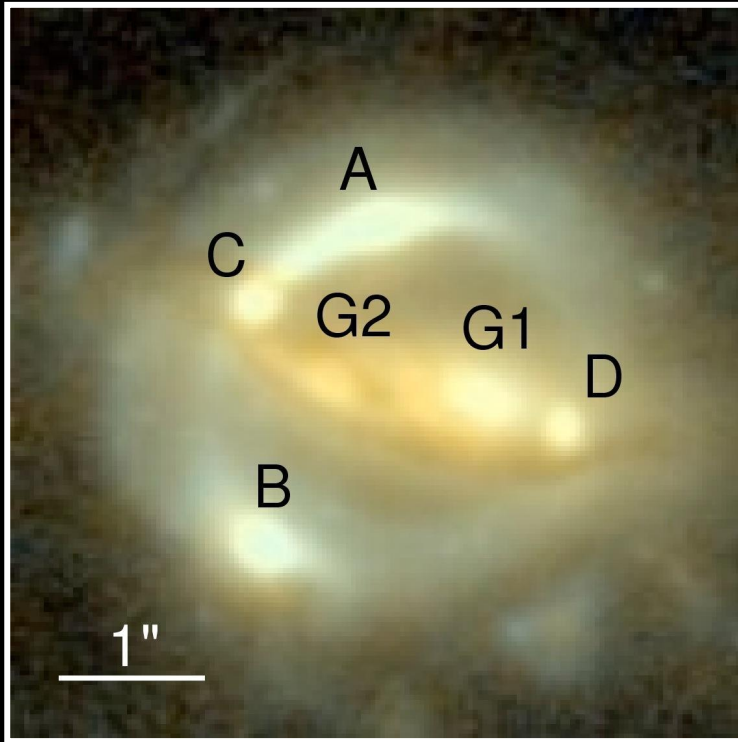
- **Gravitational lens time delays**

# Strong Gravitational Lenses

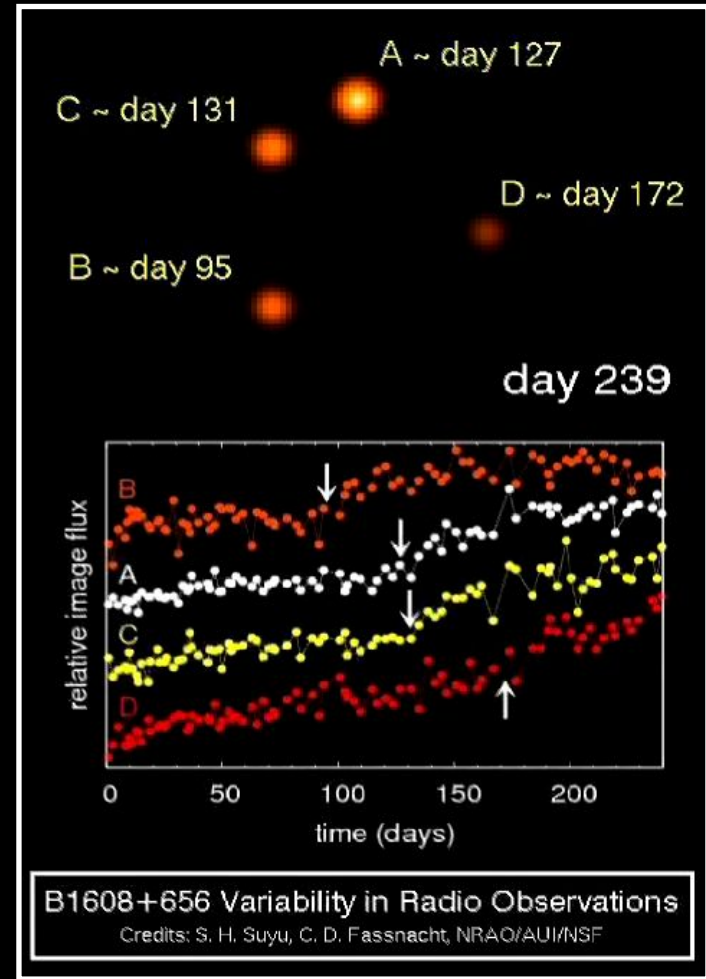


AGN: point-like, variable sources

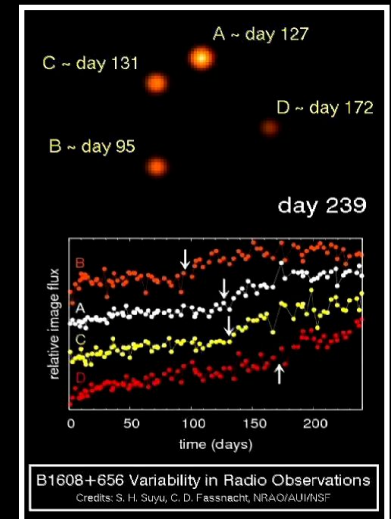
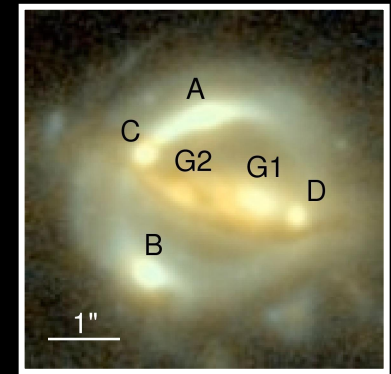
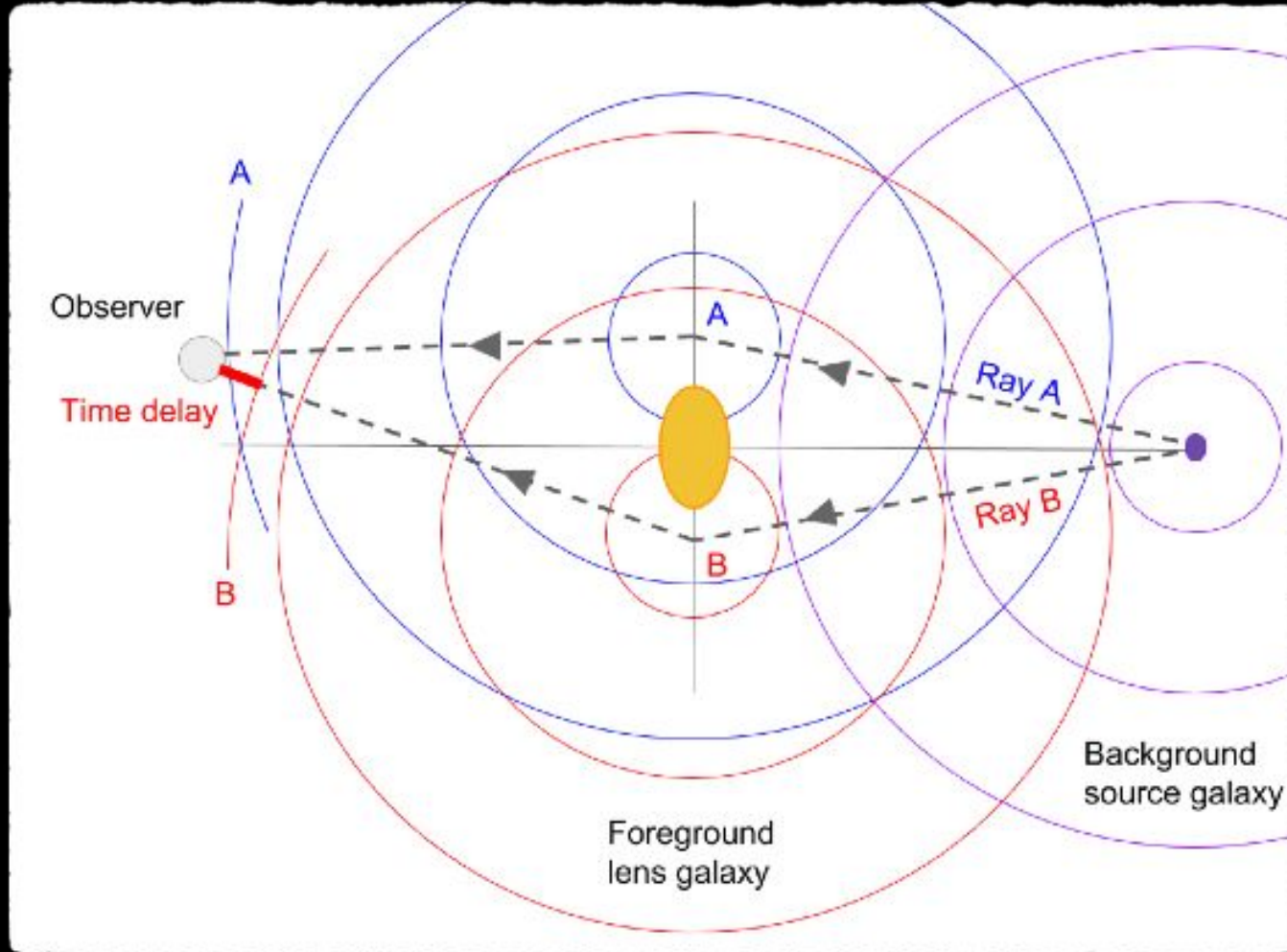
# Time Delay Lenses



Point-like, variable sources:  
different path lengths,  
different travel times



# Huygens Construction

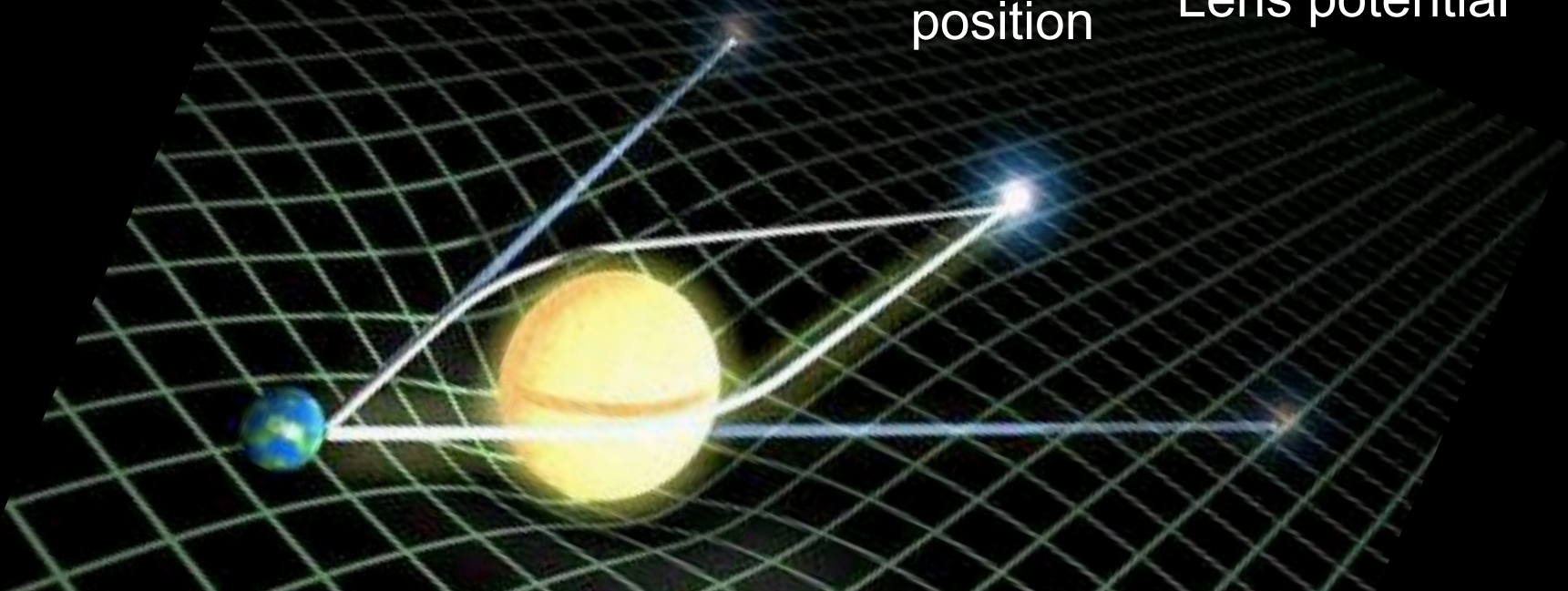


# Time Delay Distances

Signals from the AGN appear at different times - this effect can be **predicted** with a **model** of the lens:

$$t = \frac{1}{c} \frac{D_d D_s}{D_{ds}} (1 + z_d) \left[ \frac{1}{2} (\theta - \beta)^2 - \psi(\theta) \right]$$

Image position    Source position    Lens potential



# Time Delay Distances

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Image position      Source position      Lens potential

$$\Delta t_{AB} = D_{\Delta t} \times \Delta \Phi_{AB}$$

Model predictions allow us to explore the joint likelihood for the **distance** and **lens model parameters** given the **time delays**, image positions, arc surface brightness etc



# “ $H_0$ from Strong Lensing”

First suggested by Refsdal (1964) - using Hubble's original Law for the distance, the only free parameter is  $H_0$

- Prior to 2010, several attempts at measuring  $H_0$  with lenses were made: significant scatter, systematic errors. *We now have better data and more advanced analysis software.*
- Time delays give a physical distance measurement, mostly sensitive to  $H_0$  - but also to *the other cosmological parameters, including Dark Energy.*

# Plan

- Introduction to time delay lenses, and how each one enables a cosmological distance measurement
- Time delay cosmography in practice:
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# H0LiCOW!

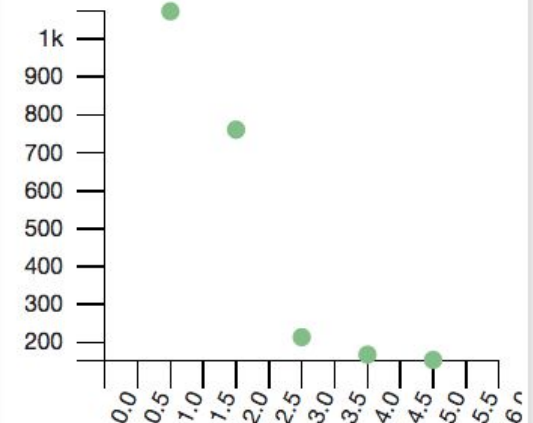
- 1  2017MNRAS.465.4914B 2017/03 cited: 18     
**H0LiCOW - V. New COSMOGRAIL time delays of HE 0435-1223:  $H_0$  to 3.8 per cent precision from strong lensing in a flat  $\Lambda$ CDM model**  
Bonvin, V.; Courbin, F.; Suyu, S. H. *and 15 more*
- 2  2017MNRAS.465.4895W 2017/03 cited: 2     
**H0LiCOW - IV. Lens mass model of HE 0435-1223 and blind measurement of its time-delay distance for cosmology**  
Wong, Kenneth C.; Suyu, Sherry H.; Auger, Matthew W. *and 13 more*
- 3  2016arXiv160701047R 2016/07 cited: 3     
**H0LiCOW III. Quantifying the effect of mass along the line of sight to the gravitational lens HE 0435-1223 through weighted galaxy counts**  
Rusu, Cristian E.; Fassnacht, Christopher D.; Sluse, Dominique *and 8 more*
- 4  2016arXiv160700382S 2016/07 cited: 2     
**H0LiCOW II. Spectroscopic survey and galaxy-group identification of the strong gravitational lens system HE0435-1223**  
Sluse, D.; Sonnenfeld, A.; Rumbaugh, N. *and 15 more*
- 5  2016arXiv160700017S 2016/06 cited: 7     
**H0LiCOW I.  $H_0$  Lenses in COSMOGRAIL's Wellspring: Program Overview**  
Suyu, S. H.; Bonvin, V.; Courbin, F. *and 21 more*

Years Citations **Reads**

total recent (90 day) reads : **2,370**

H-Index for results: ■ refereed

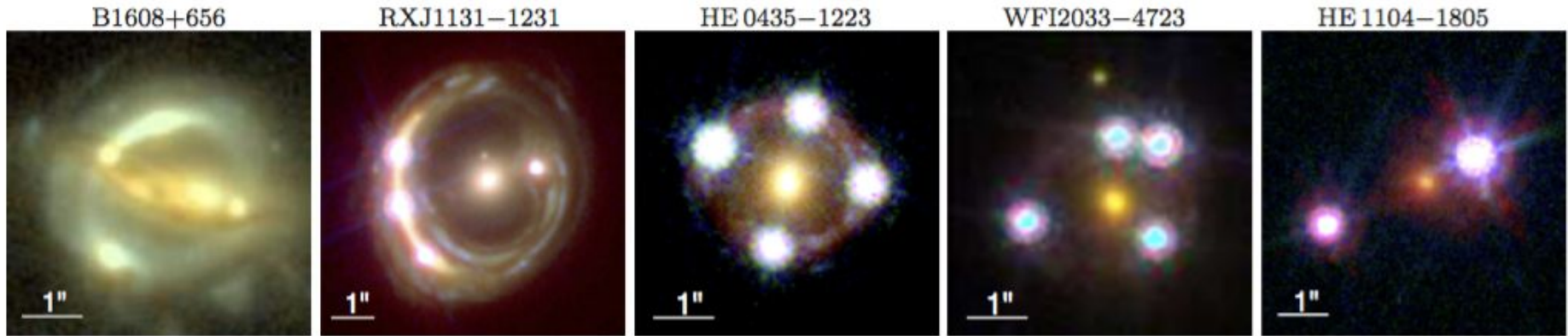
Y-axis: linear  log



## H0LiCOW V. New COSMOGRAIL time delays of HE 0435–1223: $H_0$ to 3.8% precision from strong lensing in a flat $\Lambda$ CDM model

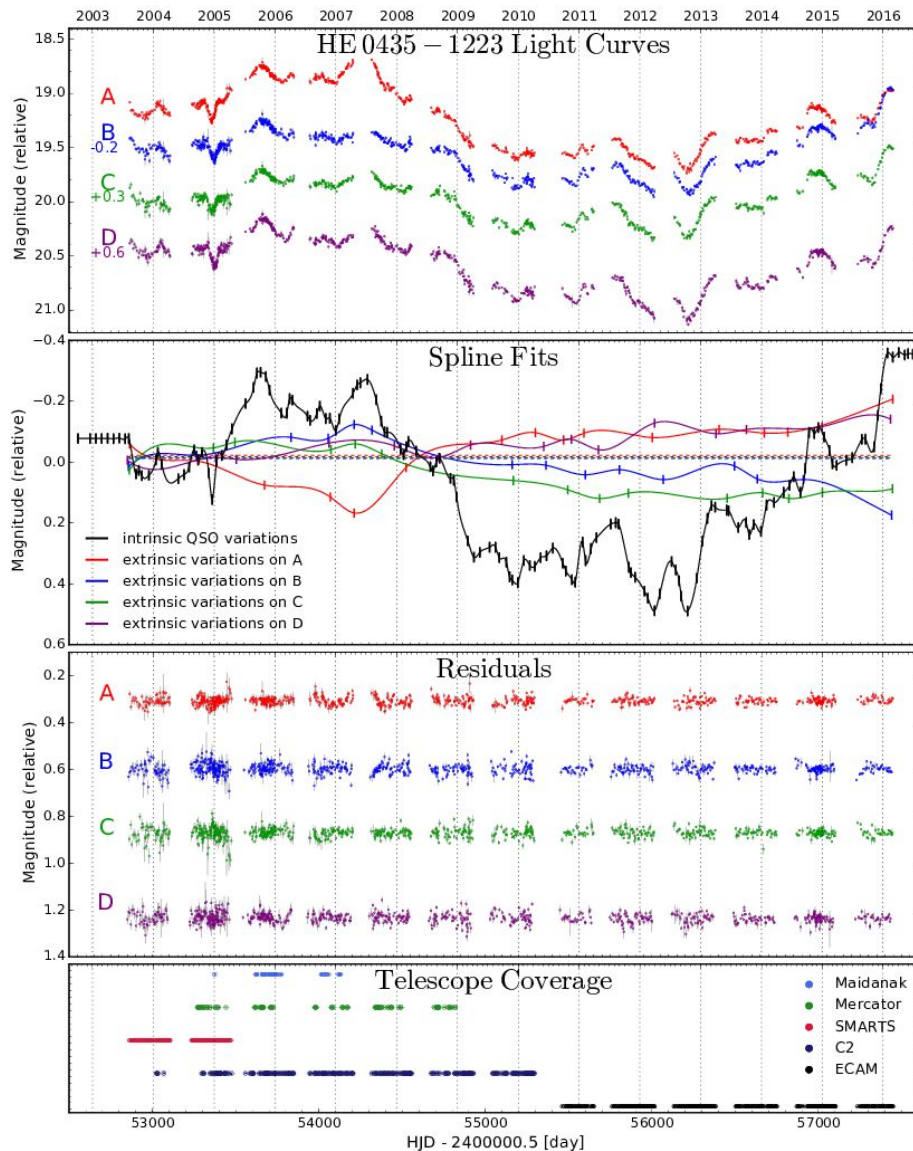
V. Bonvin,<sup>1\*</sup> F. Courbin,<sup>1</sup> S. H. Suyu,<sup>2,3,4</sup> P. J. Marshall,<sup>5</sup> C. E. Rusu,<sup>6</sup> D. Sluse,<sup>7</sup> M. Tewes,<sup>8</sup> K. C. Wong,<sup>9,4</sup> T. Collett,<sup>10</sup> C. D. Fassnacht,<sup>7</sup> T. Treu,<sup>11</sup> M. W. Auger,<sup>12</sup> S. Hilbert,<sup>13,14</sup> L. V. E. Koopmans,<sup>15</sup> G. Meylan,<sup>1</sup> N. Rumbaugh,<sup>11</sup> A. Sonnenfeld,<sup>16,11,17</sup> and C. Spiniello<sup>2</sup>

# The H0LiCOW sample



- 5 bright lensed quasars
- Found in radio/optical QSO searches
- Monitored for  $\sim 10$  years with 1m-class telescopes by the COSMOGRAIL team
- Followed up with high S/N HST imaging and Keck spectroscopy, for detailed modeling

# COSMOGRAIL Light Curves

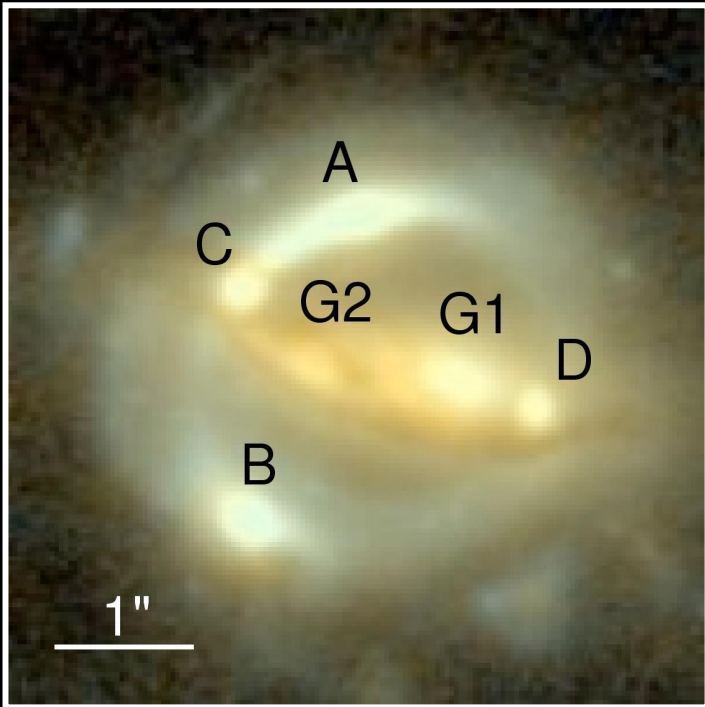


Multiple seasons (13 for HE0435) provide high accuracy ( $\pm 1$  d) time delays

Model includes 1 intrinsic AGN light curve and 4 independent microlensing light curves

# Lens modeling

Model the lens mass distribution, to predict the time delays and derive the distance.

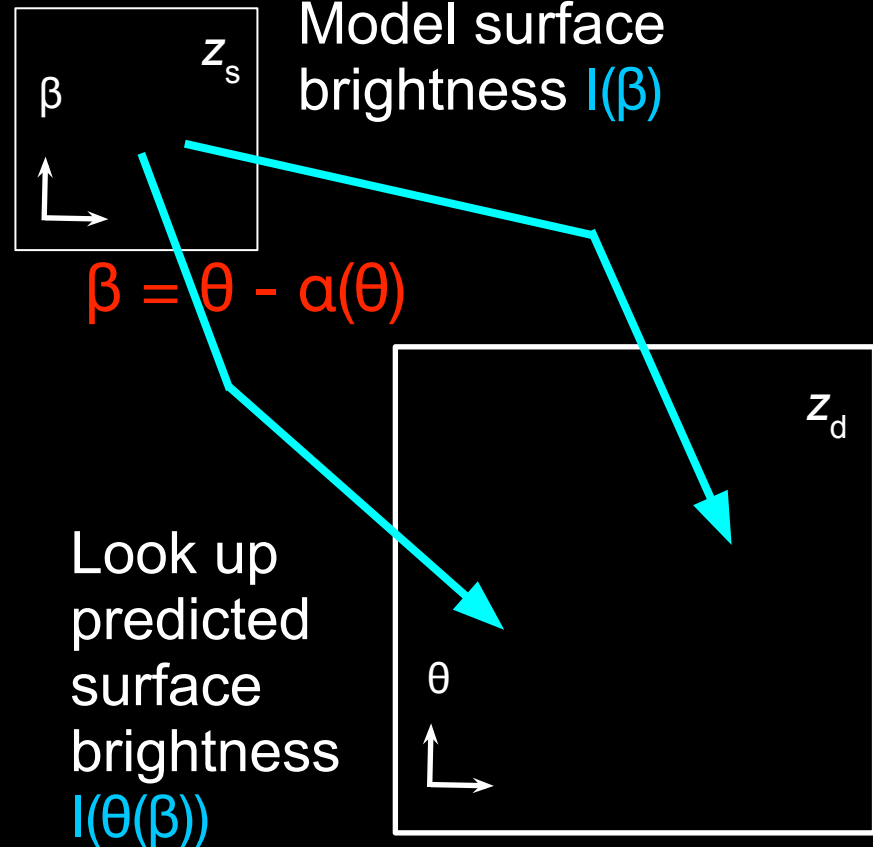
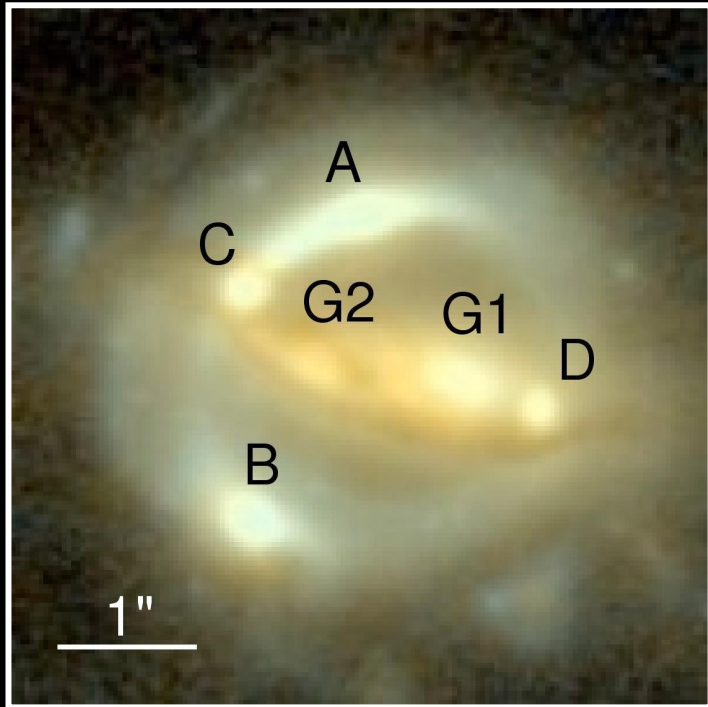


Q: How do you model a gravitational lens?



# Lens modeling

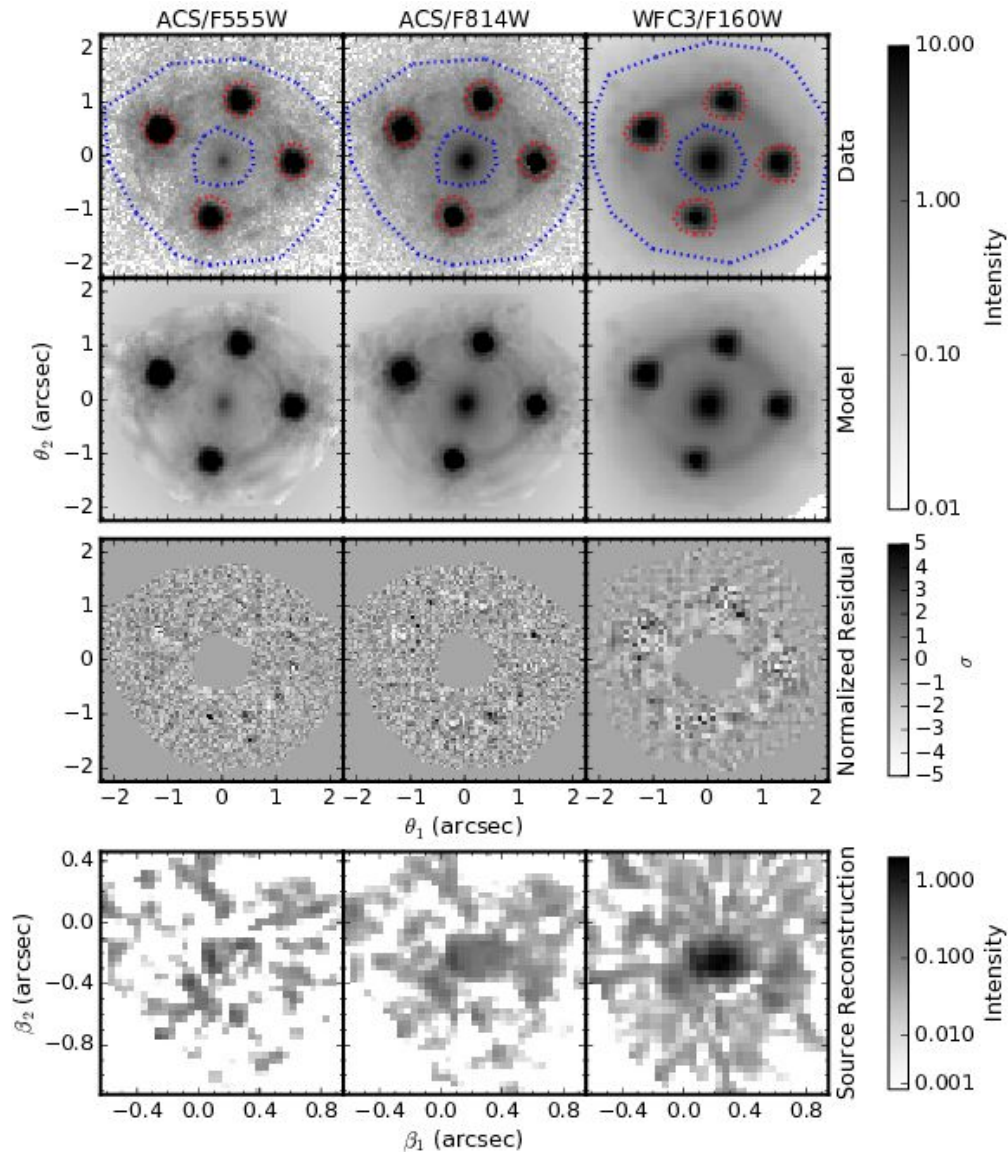
Q: How do you model a gravitational lens?



$$\log \text{Pr}(\theta | I_{\text{obs}}) \sim \chi^2(I(\theta) - I(\theta)_{\text{obs}}) / 2 + S(I(\beta))$$



# HST Lens Modeling



Deep, high resolution images reveal Einstein Rings

Residuals consistent with noise, reconstructed AGN host galaxy is plausible

# Inferring cosmological parameters

Let  $\pi = \{H_0, \Omega_m, \Omega_\Lambda, w\}$  (cosmological parameters)

$\xi = \{\pi, \nu\}$  (all model parameters)

We are after the posterior PDF for  $\pi$  given the data, **marginalised over the nuisance parameters  $\nu$** :

$$P(\pi | d_{\text{ACS}}, \Delta t, \sigma) = \int d\nu P(\xi | d_{\text{ACS}}, \Delta t, \sigma)$$

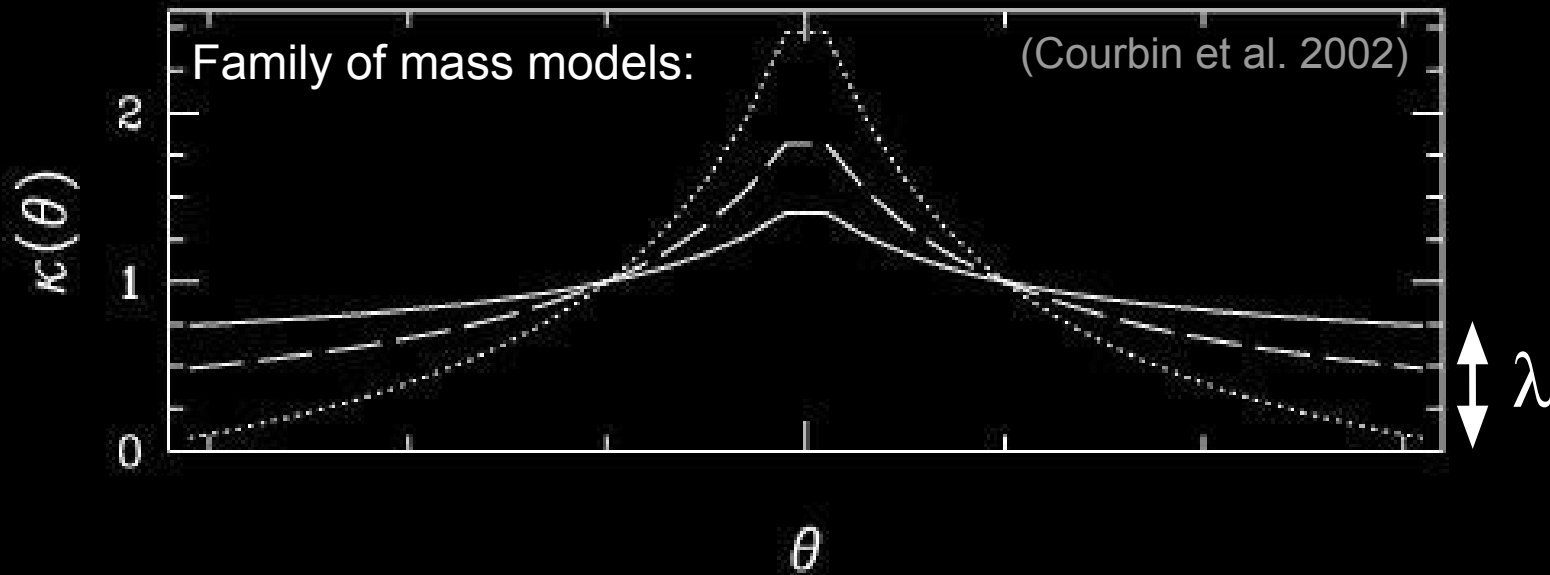
where

$$P(\xi | d_{\text{ACS}}, \Delta t, \sigma) \propto \underbrace{P(d_{\text{ACS}} | \xi) P(\Delta t | \xi) P(\sigma | \xi)}_{\text{3-dataset likelihood}} \overbrace{P(\xi)}^{\text{Prior}}$$

3-dataset likelihood

Method: importance sample from **priors**  $\Pr(\pi)$  and  $\Pr(\nu)$ , using **3-dataset likelihood**. What are  $\nu$  and  $\Pr(\nu)$ ?

# “Mass-sheet” transformation

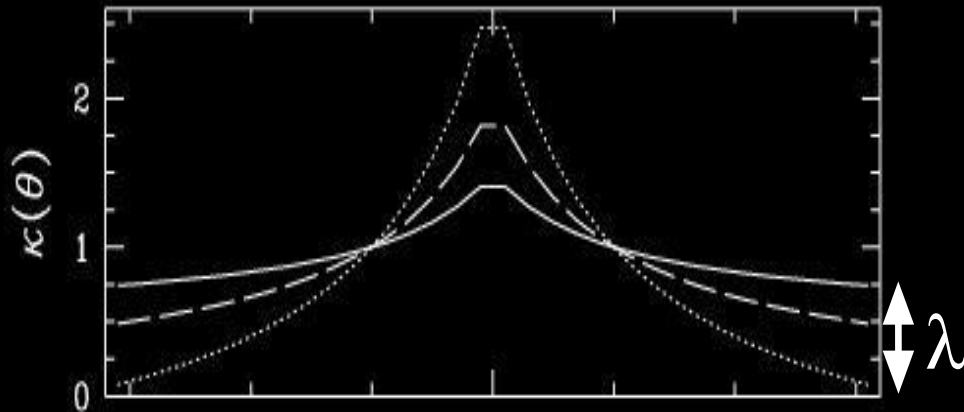


Predicted image is unchanged, but time delay predictions (and  $H_0$ ) are wrong:

$$\kappa'(\theta) = (1-\lambda) \kappa(\theta) + \lambda$$

$$t'(\theta) = (1-\lambda) t(\theta) \quad \mu'(\theta) = \mu(\theta) / (1-\lambda)^2$$

# “Mass-sheet” degeneracy



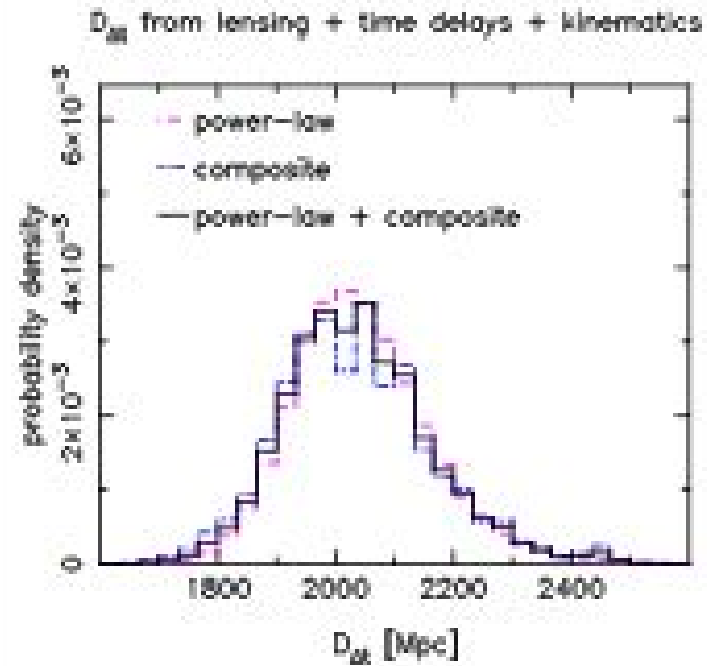
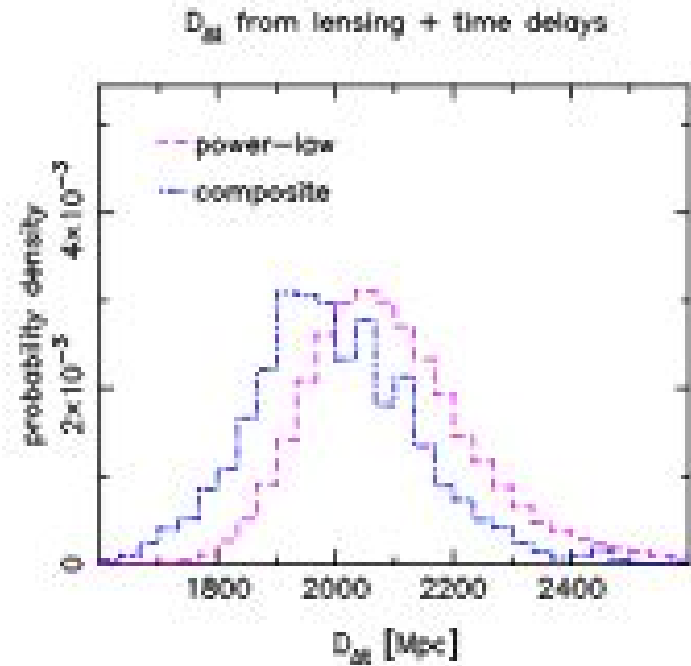
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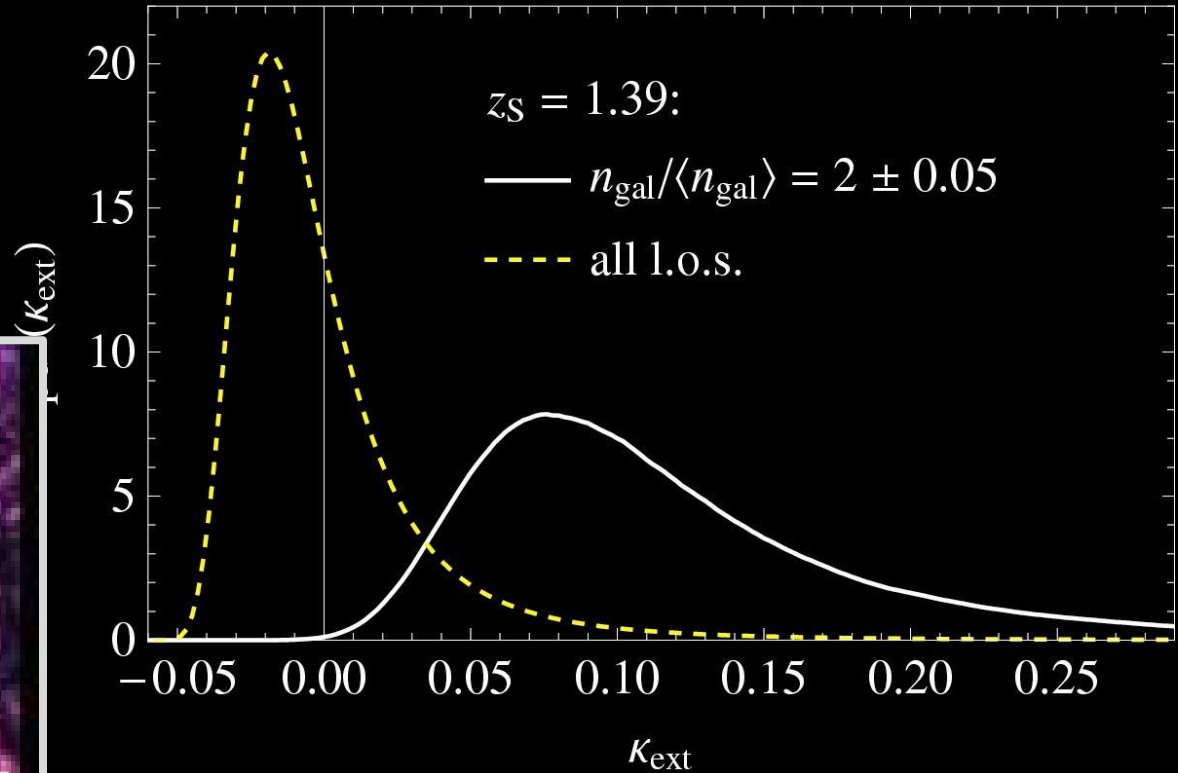
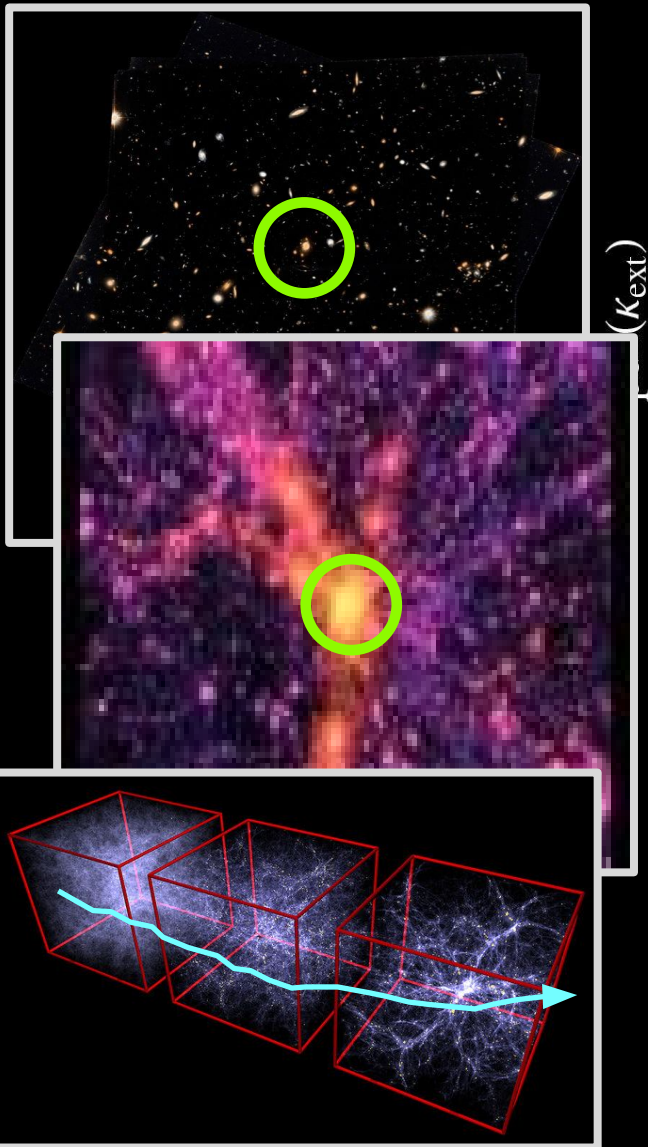
- Know what  $\kappa(\theta)$  is:
  - Assume plausible functional form, constrain with stellar dynamics, scaling relations
  - Measure “external convergence” due to local and line of sight structures and marginalize ( $\nu$ ) out
- Know what  $\mu(\theta)$  is, e.g. from standard candle SNe Ia
- Be right on average, sampling  $\lambda$  with mean zero: tests on realistic simulations

# “Mass sheet” degeneracy



Using all the pixels in the HST Einstein ring image, *plus the velocity dispersion of the lens*, breaks the internal model degeneracy and reduces the systematic distance error to  $< 2\%$

# External Convergence $\text{Pr}(\kappa_{\text{ext}})$



Match N-body simulation sightlines to observed over-density in galaxy counts, building up  $\text{Pr}(\kappa_{\text{ext}})$

# Inferring cosmological parameters

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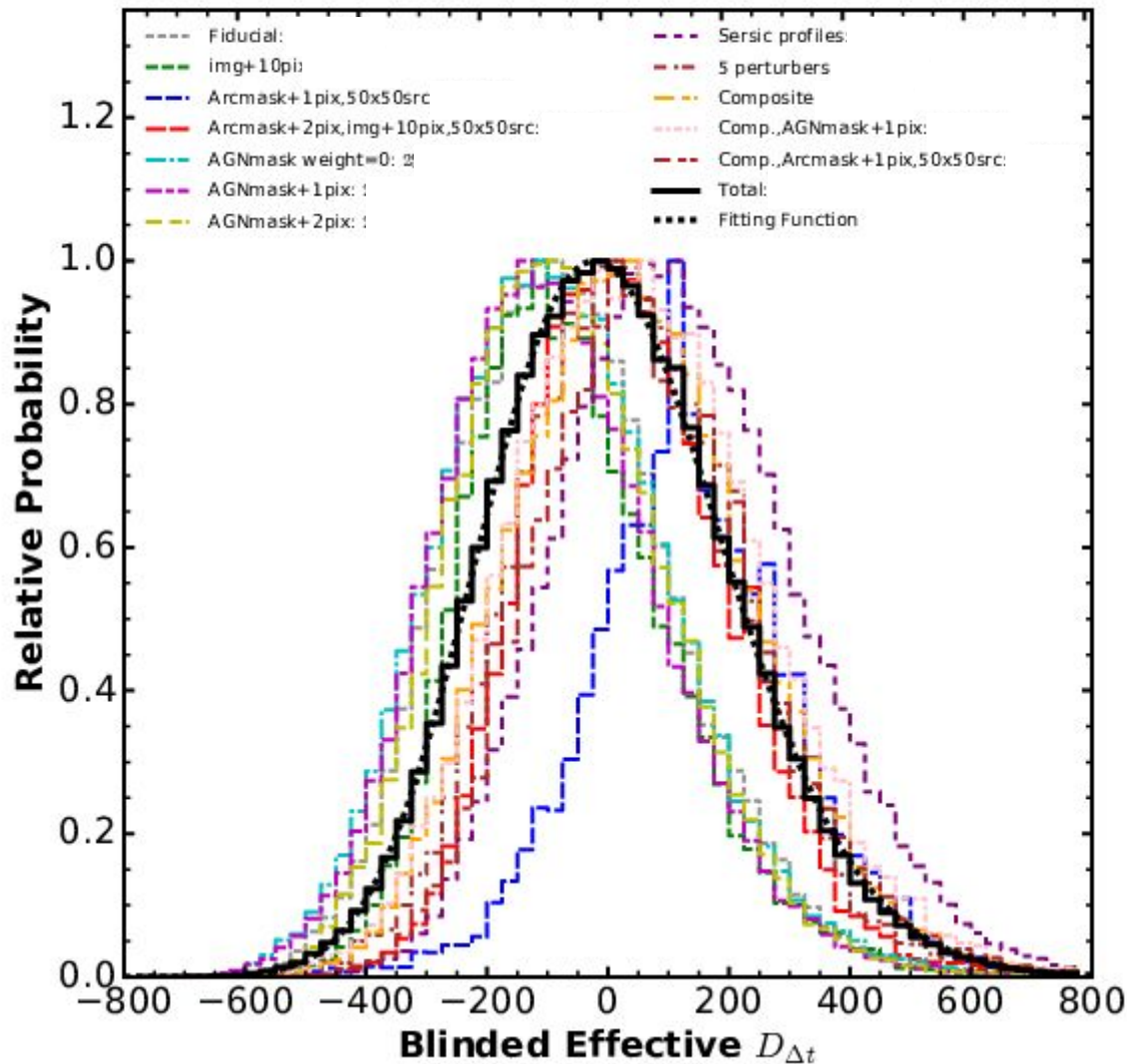
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3-dataset likelihood

Method: importance sample from **priors  $\text{Pr}(\pi)$**  and **Millenium Simulation  $\text{Pr}(\kappa_{\text{ext}})$** , using **3-dataset likelihood**.

# Distance Measurement

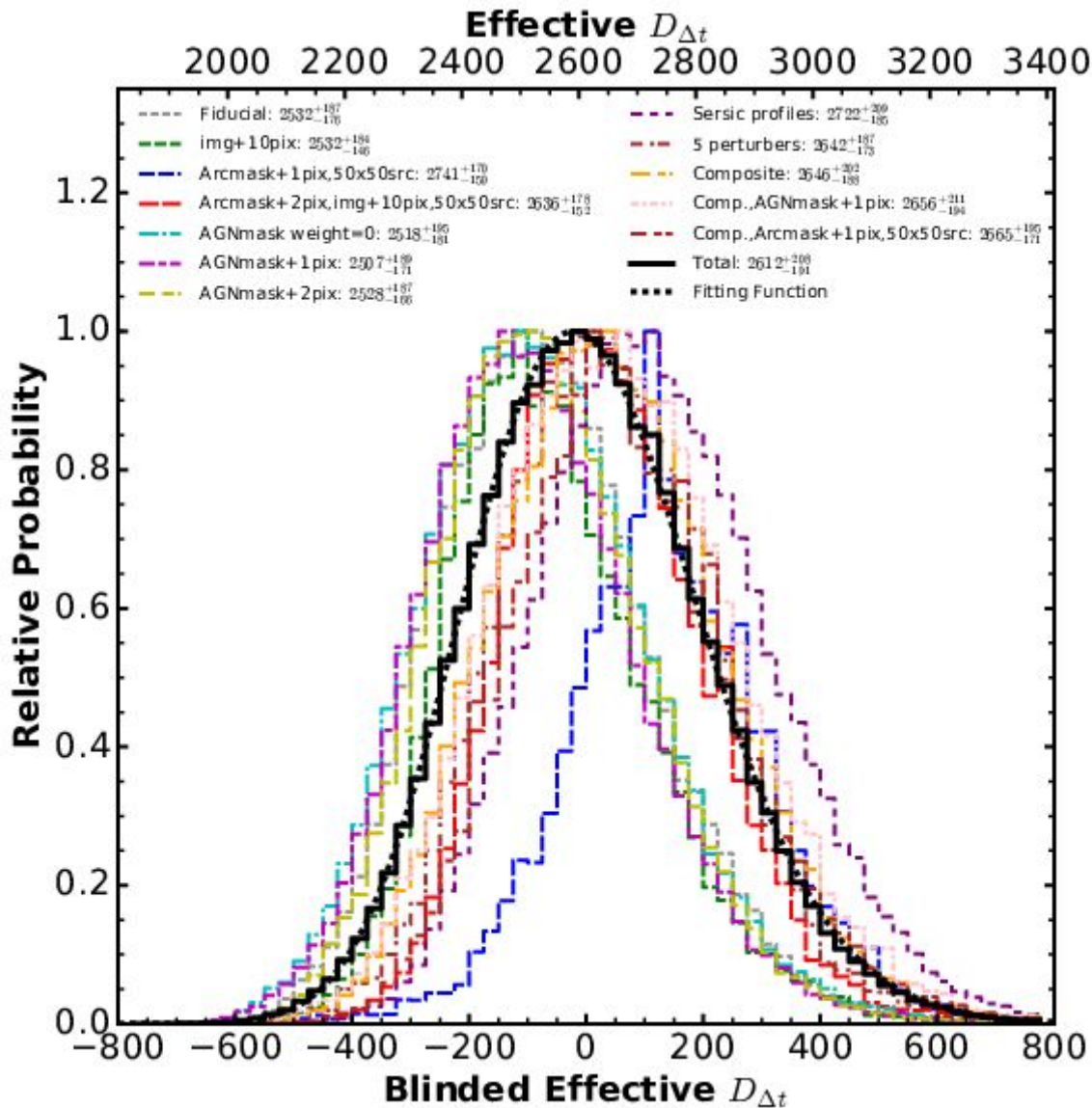


Choices in modeling lead to small offsets in time delay distance

These models can be averaged over, before unblinding



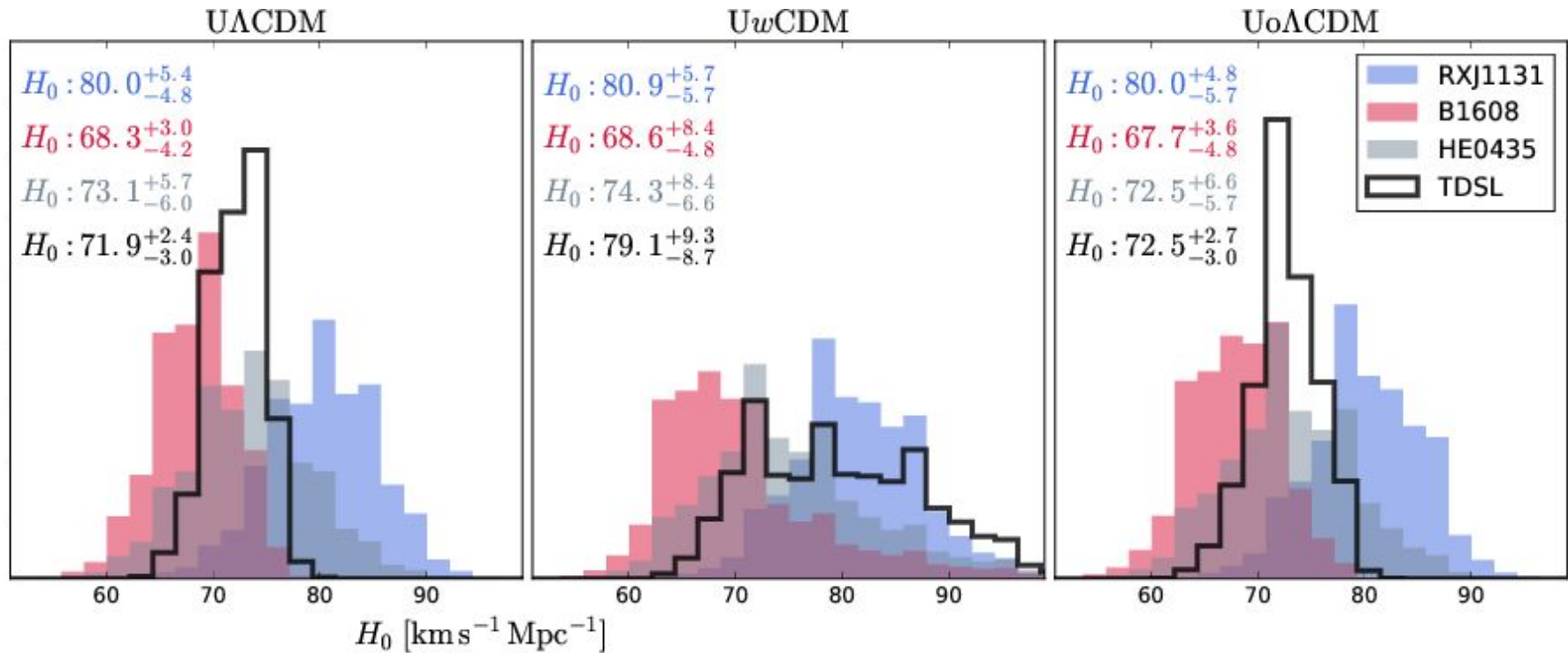
# Distance Measurement



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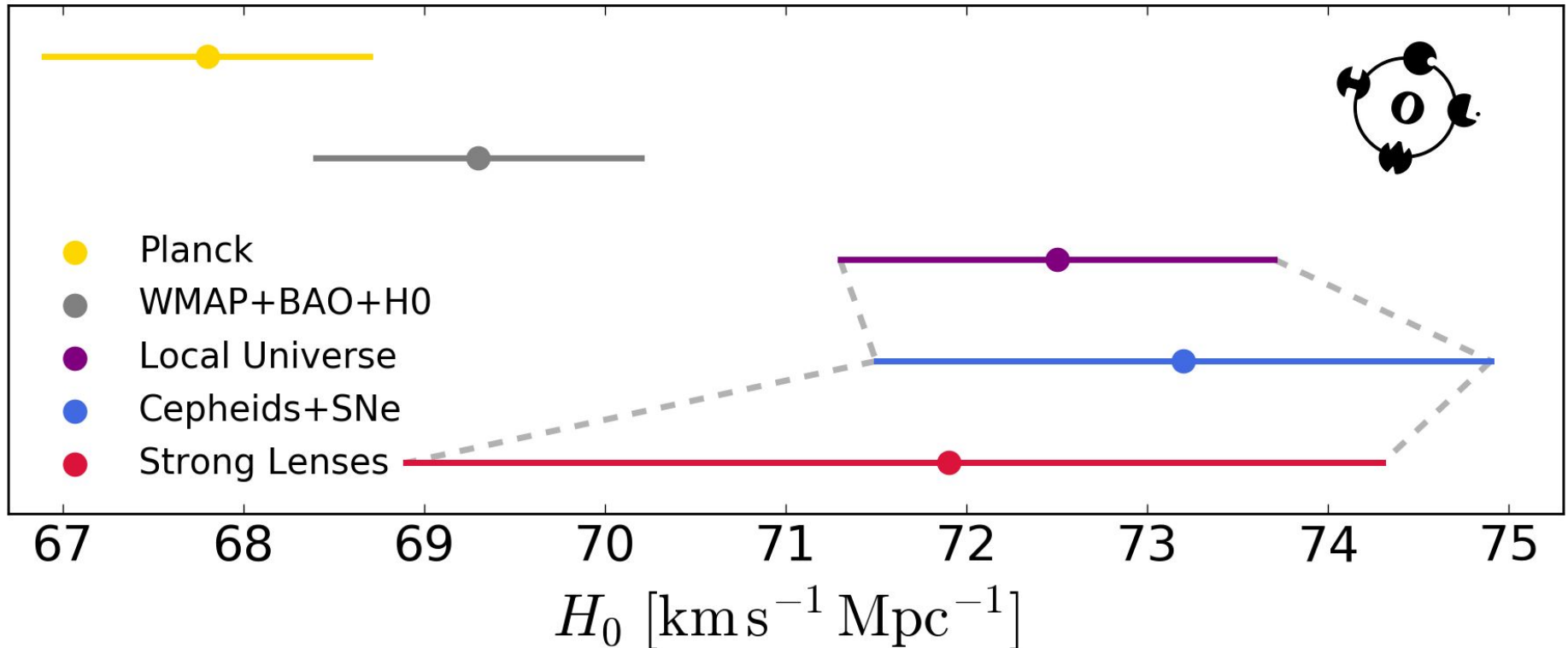
# Cosmological Parameters



**B1608** was not blinded, **RXJ1131** was.  
HE0435 was blinded, and fell in between.  
In  $\Lambda\text{CDM}$ , TDSL  $H_0 = 71.9 \pm 2.7$  (3.8%)

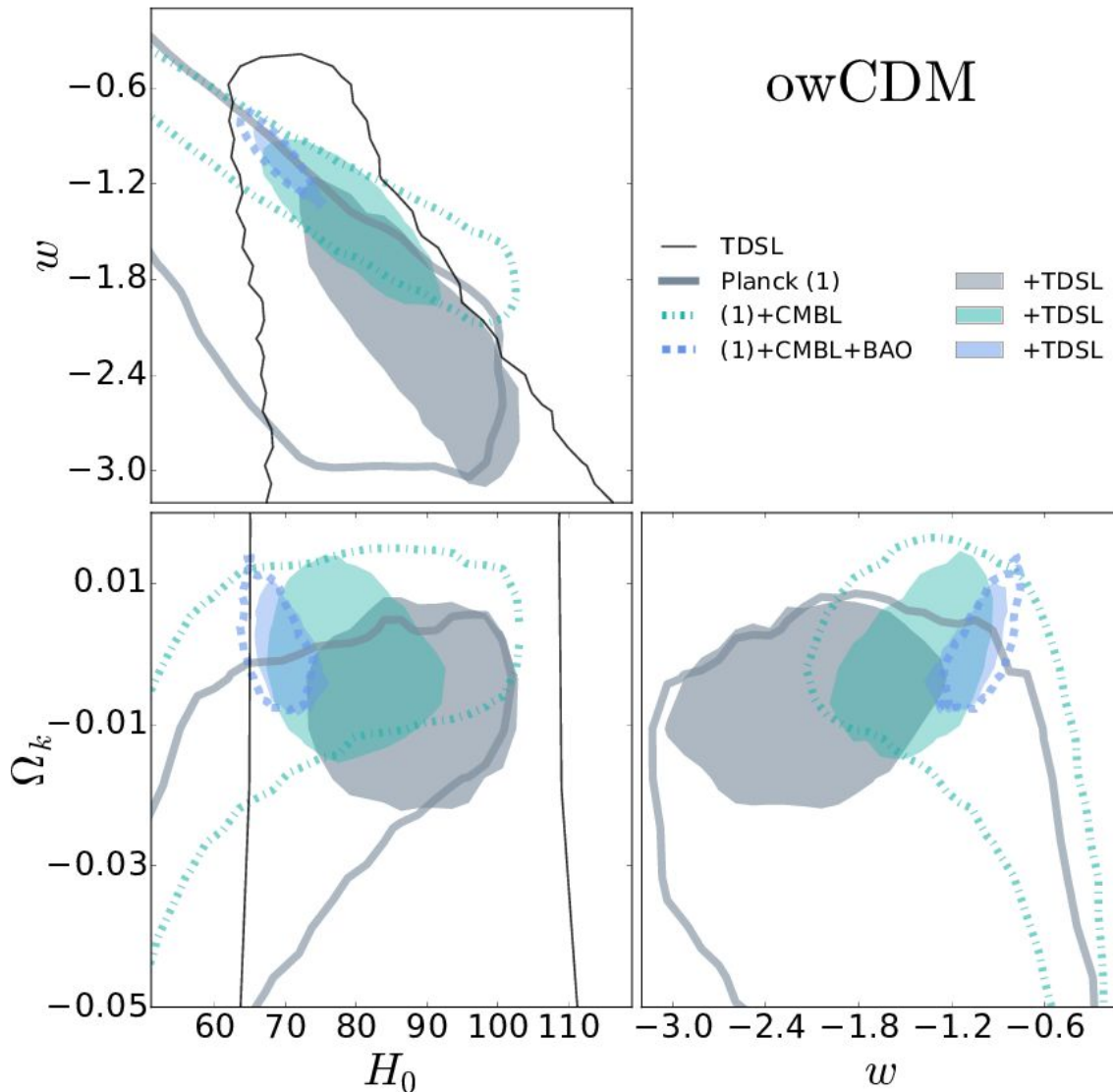
# Tension in $H_0$ ?

$\Lambda$ CDM



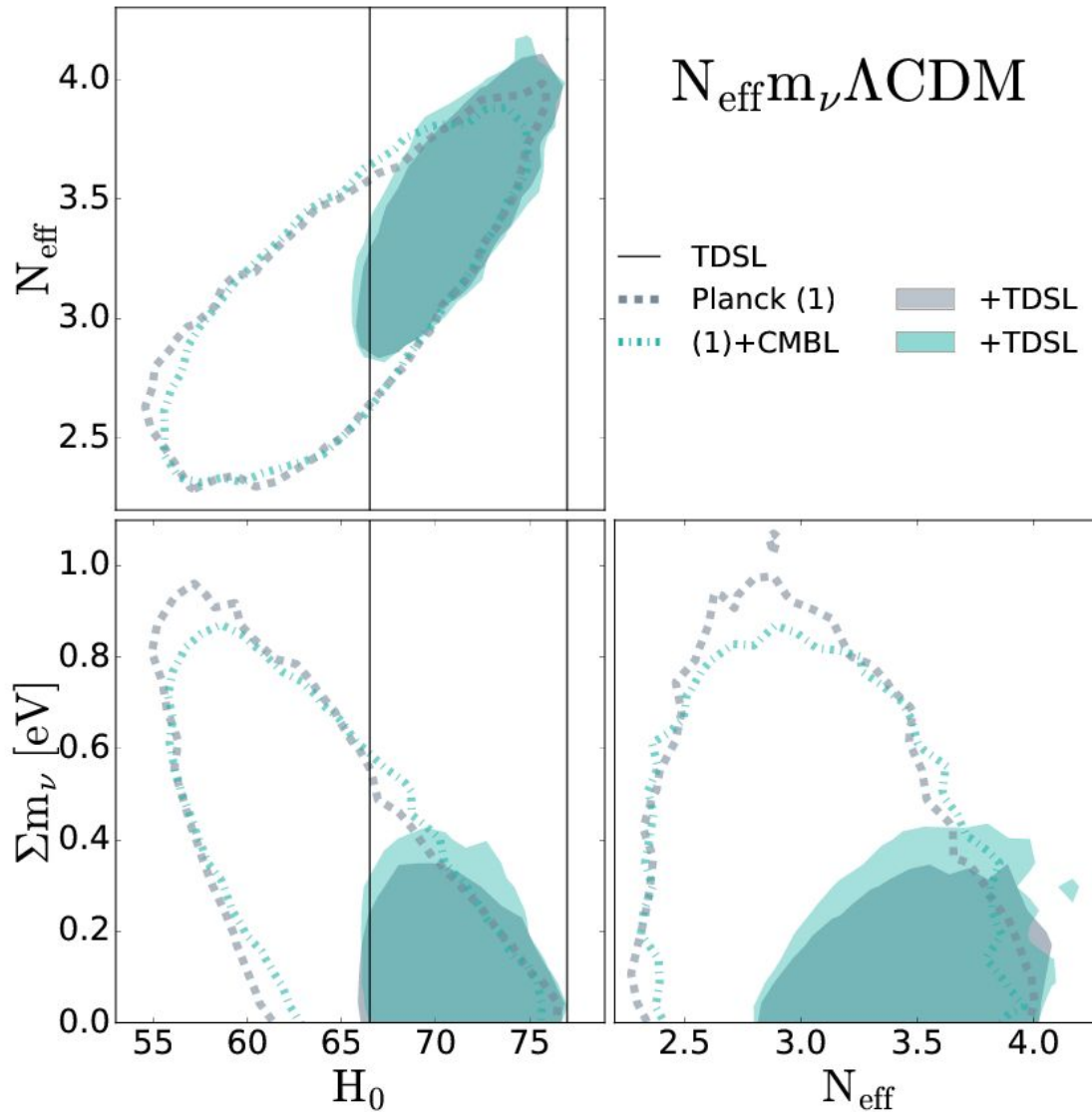
Strong lenses provide an independent measurement - blinding is crucial to avoid unconscious concordance either way

# Dark Energy from CMB+SL



In higher dimension parameter spaces the tension is alleviated: owCDM is accessible

# Cosmic Neutrinos from CMB+SL



The higher  $H_0$  favors higher  $N_{\text{eff}}$  and lower neutrino mass

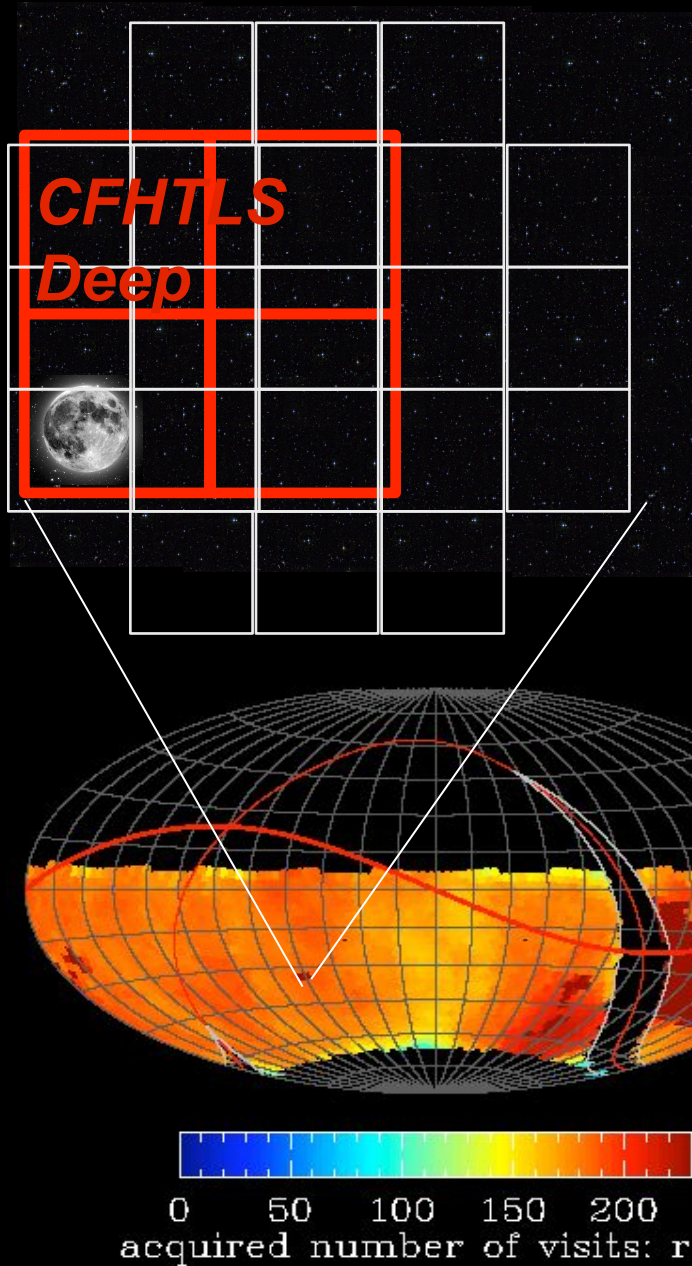
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# Time Delay Cosmography with LSST

- Time delay lenses are an interesting *independent* cosmological probe, with very different systematics to BAO, SNe etc but providing comparable precision
- To reach sub-percent precision on  $H_0$ ,  $w$ , we would need  $\sim 100$  time delay lens systems, each measured to H0LiCOW precision (5%)
- The LSST time-delay lenses could remain a competitive cosmological probe: but what will it take to achieve sub-percent accuracy?

# The LSST Strong Lens Discovery and Monitoring Campaign



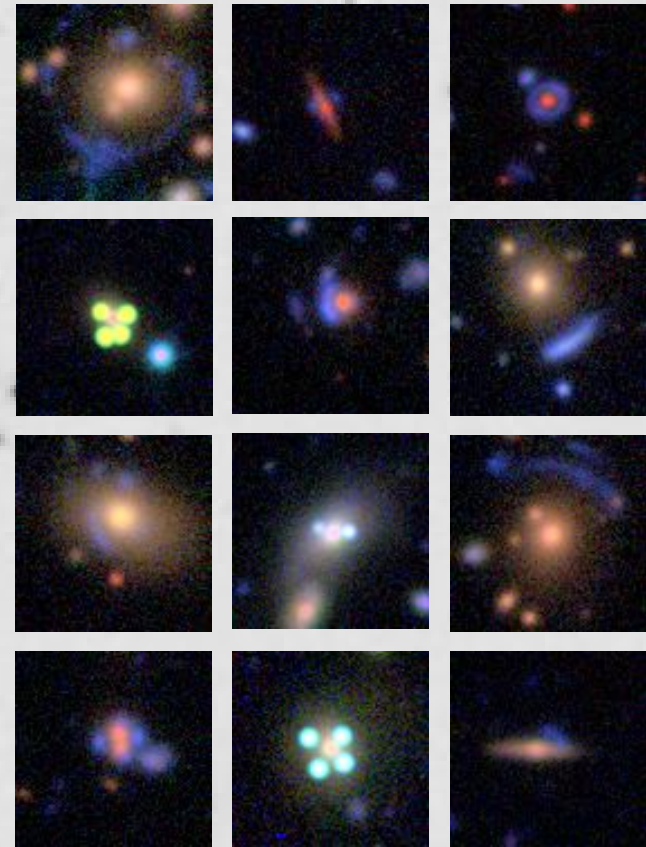
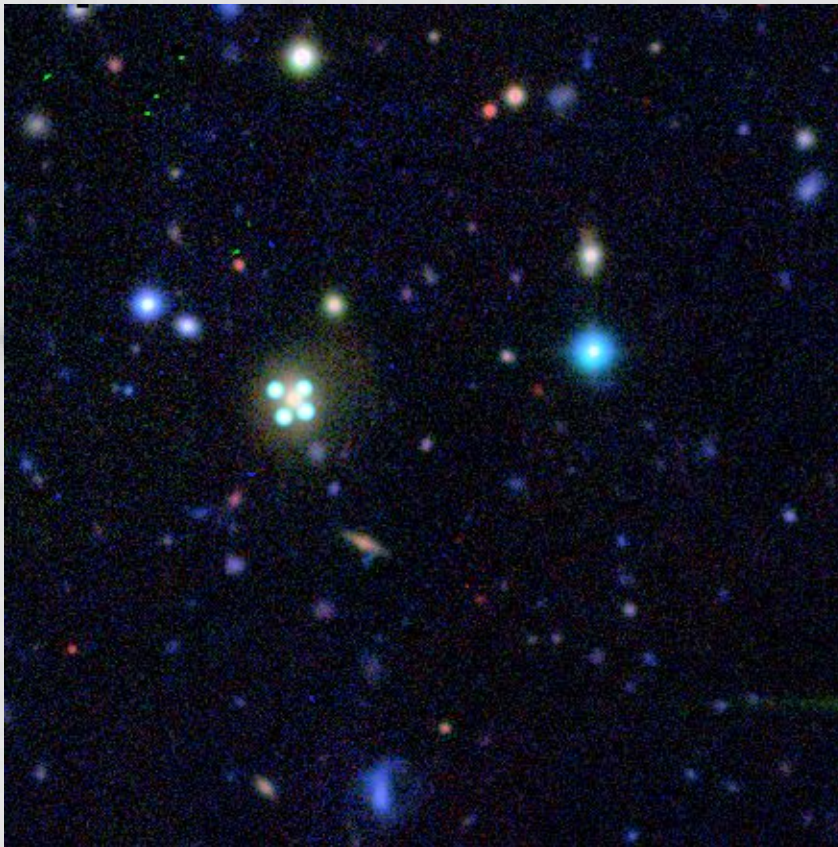
- 18000 sq deg
- 6 filters, **ugrizy**
- 10 years, 800 visits/field
- 5 day cadence (**ugrizy**)
- ~ 24 mag per visit
- Resolution 0.4-1.0"

<http://www.lsst.org>



# The LSST image archive will contain a *lot* of lenses

- $10^4$  galaxy-scale lenses, 100s of lensed supernovae



CFHTLS images + Space Warps sims, SL2S lenses (More, Marshall et al)

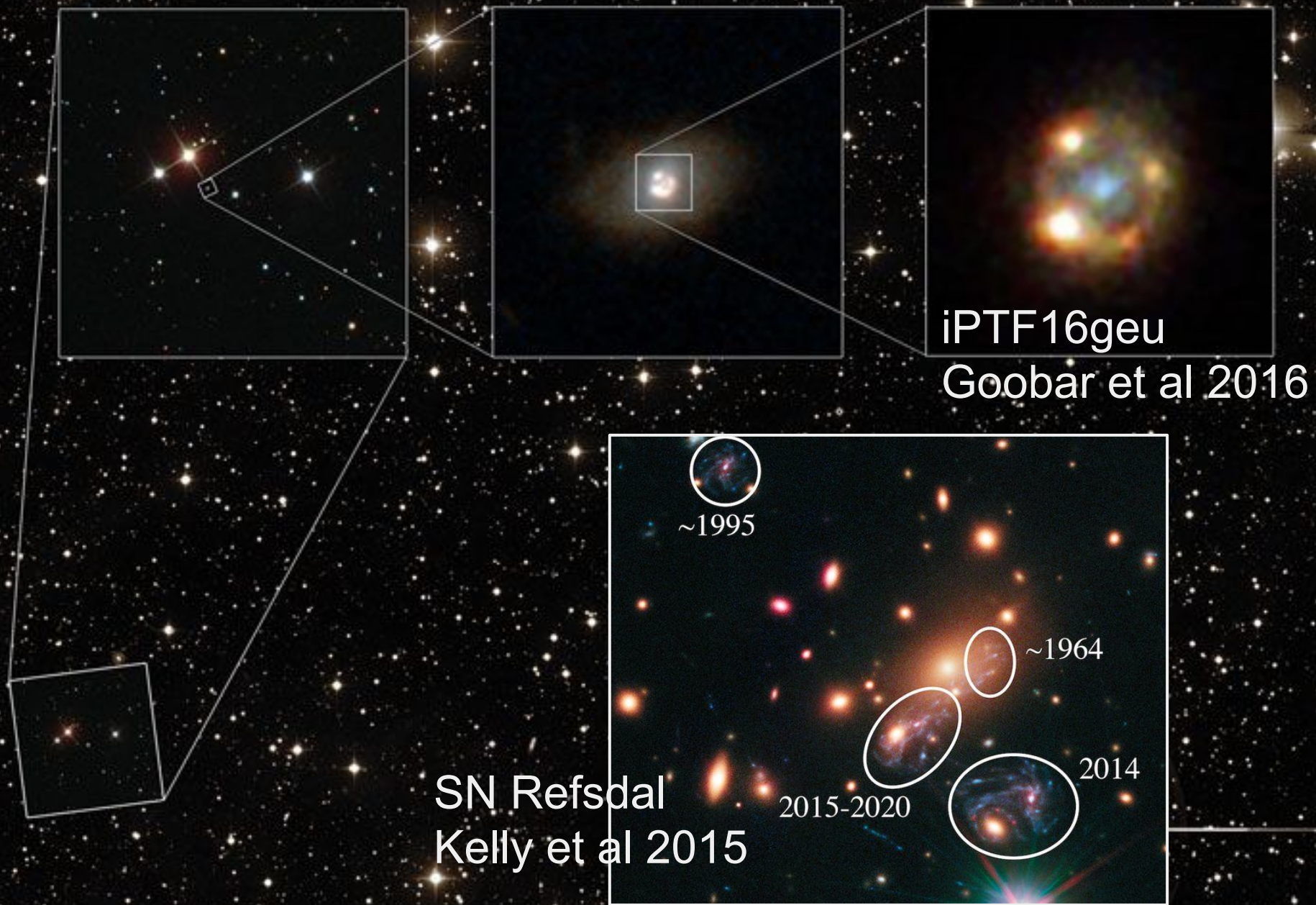
# How many lensed quasars?

Survey	QSO (detected)		QSO (measured)	
	$N_{\text{nonlens}}$	$N_{\text{lens}}$	$N_{\text{nonlens}}$	$N_{\text{lens}}$
SDSS-II	$1.18 \times 10^5$	26.3 (15%)	$3.82 \times 10^4$	7.6 (18%)
SNLS	$9.23 \times 10^3$	3.2 (12%)	$3.45 \times 10^3$	1.1 (13%)
PS1/ $3\pi$	$7.52 \times 10^6$	1963 (16%)	...	...
PS1/MDS	$9.55 \times 10^4$	30.3 (13%)	$3.49 \times 10^4$	9.9 (14%)
DES/wide	$3.68 \times 10^6$	1146 (14%)	...	...
DES/deep	$1.26 \times 10^4$	4.4 (12%)	$6.05 \times 10^3$	2.0 (13%)
HSC/wide	$1.76 \times 10^6$	614 (13%)	...	...
HSC/deep	$7.96 \times 10^4$	29.7 (12%)	$4.30 \times 10^4$	15.3 (13%)
JDEM/SNAP	$5.00 \times 10^4$	21.8 (12%)	$5.00 \times 10^4$	21.8 (12%)
LSST	$2.35 \times 10^7$	8191 (13%)	$9.97 \times 10^6$	3150 (14%)

(Oguri & Marshall 2010)

- **LSST** should *detect* ~8000 lenses (1000 quads)
- **STRIDES** aims to monitor ~30 **DES** lenses
- **LSST** should be able to monitor ~**3000** systems, but how many will yield accurate time delays?

# What about lensed supernovae?



# How many lensed supernovae?

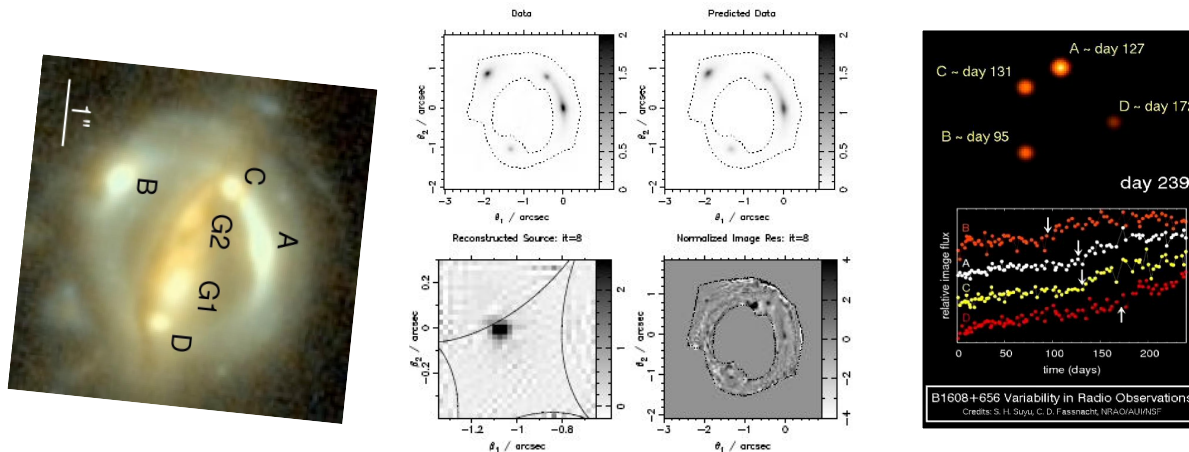
Survey	SN (Ia)		SN (cc)		Note
	$N_{\text{nonlens}}$	$N_{\text{lens}}$	$N_{\text{nonlens}}$	$N_{\text{lens}}$	
SDSS-II	$4.34 \times 10^2$	0.003 (54%)	$1.09 \times 10^3$	0.01 (40%)	
SNLS	$7.52 \times 10^2$	0.03 (24%)	$1.44 \times 10^3$	0.05 (26%)	
PS1/3 $\pi$	$3.34 \times 10^4$	0.28 (53%)	$8.23 \times 10^4$	0.97 (39%)	detections only
PS1/MDS	$2.93 \times 10^3$	0.09 (32%)	$6.05 \times 10^3$	0.16 (30%)	detections only
DES/wide	$8.30 \times 10^4$	2.7 (29%)	$1.62 \times 10^5$	4.9 (29%)	
DES/deep	$8.95 \times 10^2$	0.04 (22%)	$1.80 \times 10^3$	0.07 (24%)	
HSC/deep	$1.10 \times 10^3$	0.06 (18%)	$2.56 \times 10^3$	0.13 (21%)	
JDEM/SNAP <sup>a</sup>	$1.36 \times 10^4$	2.9 (13%)	$5.39 \times 10^4$	12.0 (18%)	
LSST	$1.39 \times 10^6$	45.7 (32%)	$2.88 \times 10^6$	83.9 (30%)	

(Oguri & Marshall 2010)

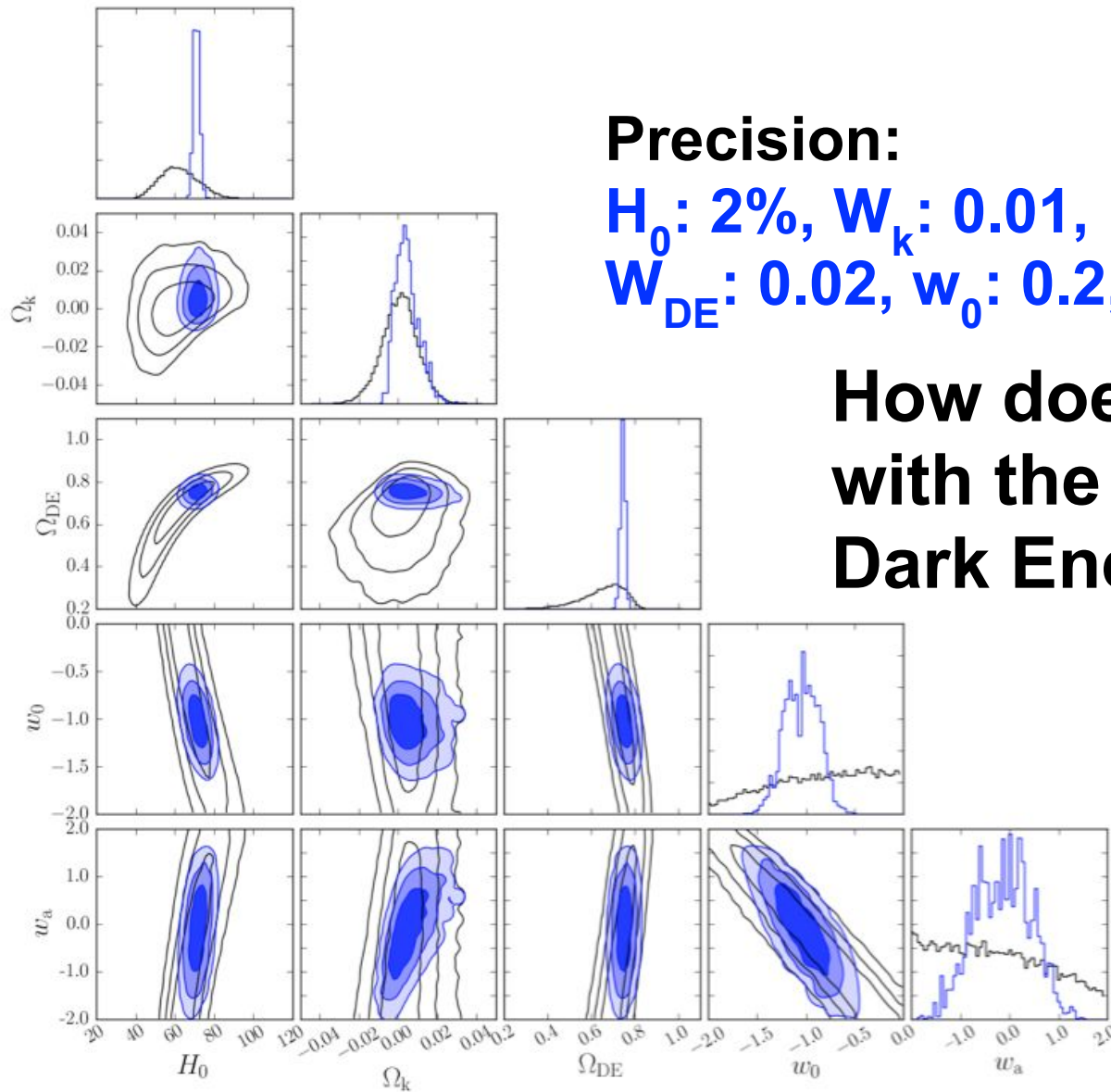
- **LSST** should discover **~130 multiply-imaged, well-resolved lensed SNe** (~50 Type Ia)
- Similar number again of small image separation, low time delay, unresolved systems (Goldstein et al 2016)

# Dark Energy from 100 LSST lenses

Suppose we have just 100 LSST lenses with spectroscopic redshifts, lens galaxy velocity dispersions, HST-grade ring modeling and good time delays, such that detailed analysis of individual lenses gives **5% precision on each time delay distance**



# Dark Energy from 100 LSST lenses



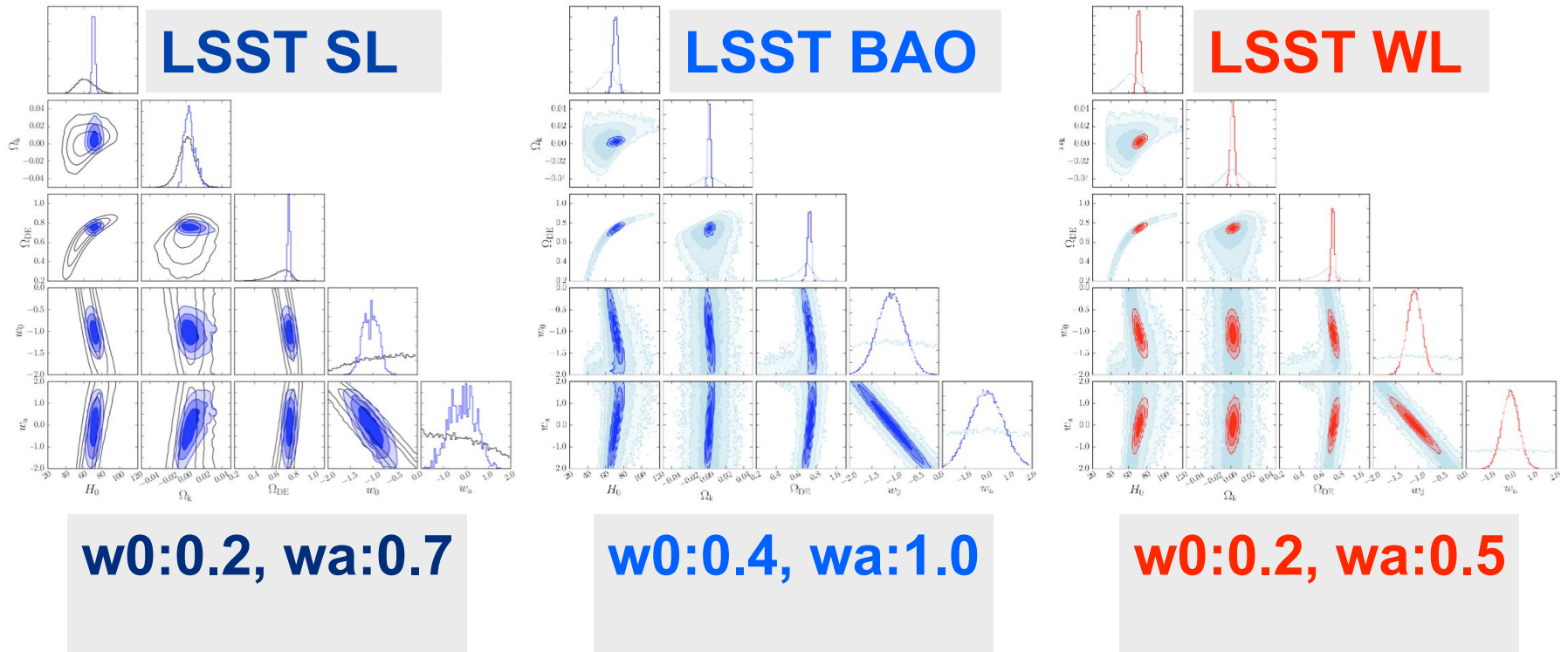
**Precision:**

$H_0$ : 2%,  $\Omega_k$ : 0.01,

$\Omega_{DE}$ : 0.02,  $w_0$ : 0.2,  $w_a$ : 0.7

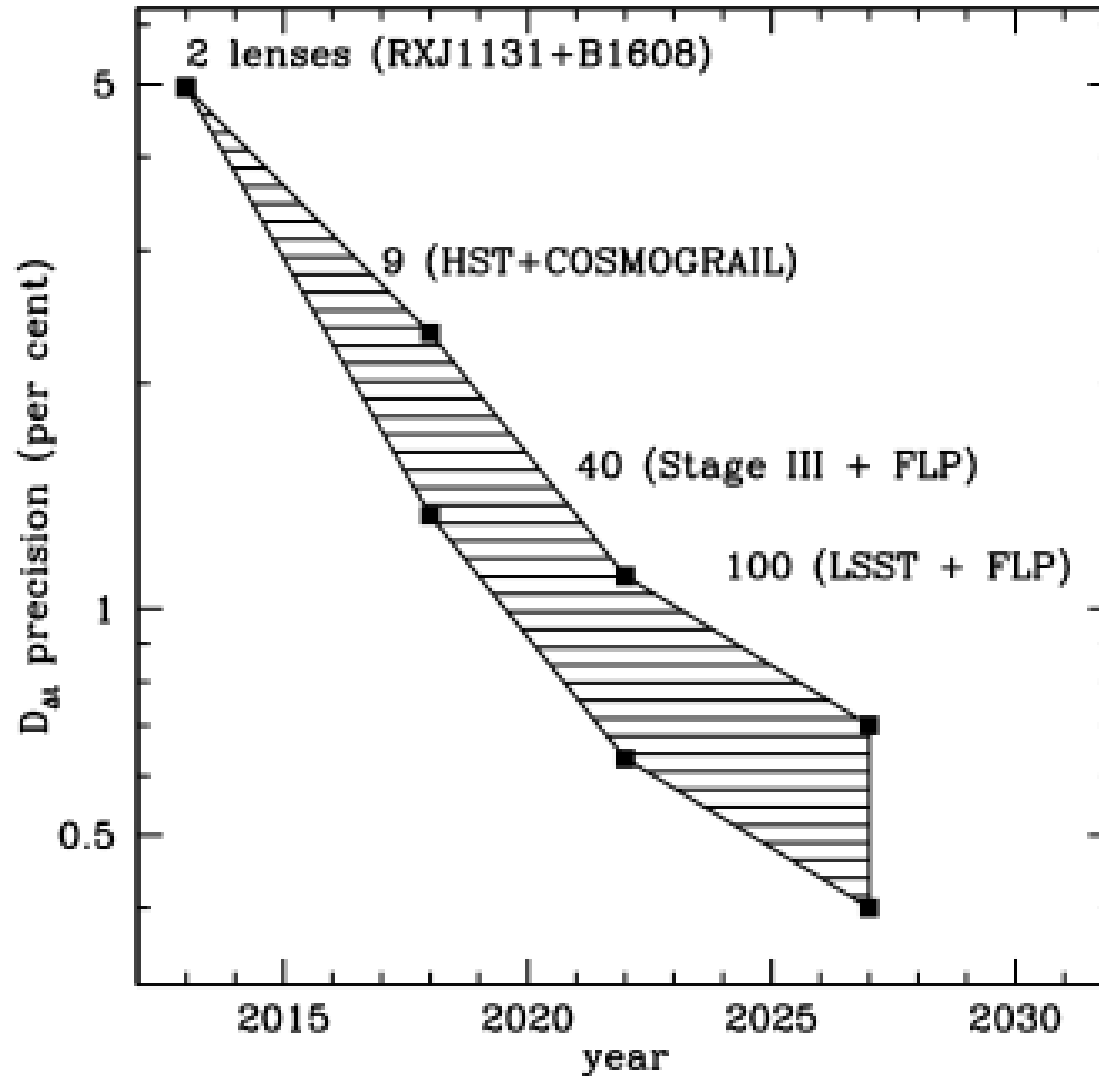
**How does this compare  
with the other LSST  
Dark Energy probes?**

# Dark Energy from 100 LSST lenses



100 lenses found and monitored with LSST, and followed-up to H0LiCOW levels or better, would yield Dark Energy constraints competitive with the other DESC probes

# Time Delay Cosmography Roadmap



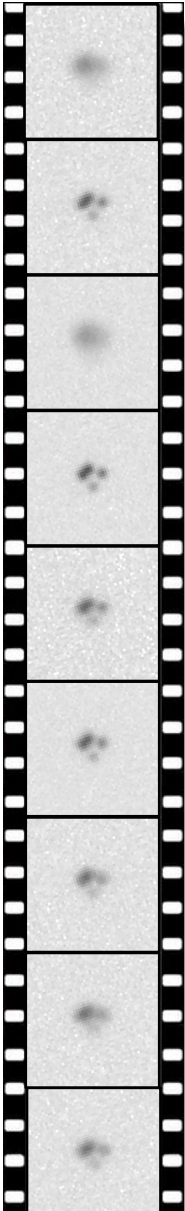


# LSST Time Delay Lens Cosmography

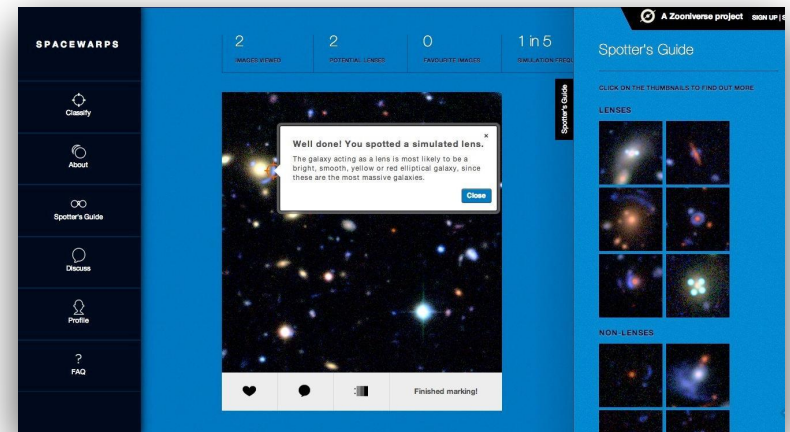
Each key analysis step is either a **logistical challenge** or a **potential source of systematic error**, or **both**:

- Find 1000s of lensed AGN and SNe
- **Measure 100s of time delays** to few % precision
- Obtain high resolution follow-up imaging and spectroscopy, **constrain lens mass distributions**
- Reconstruct each lens' density **environment**
- **Parametrize systematics** and marginalize out
- **Blind inference** of cosmological parameters

# Lens detection at LSST scale

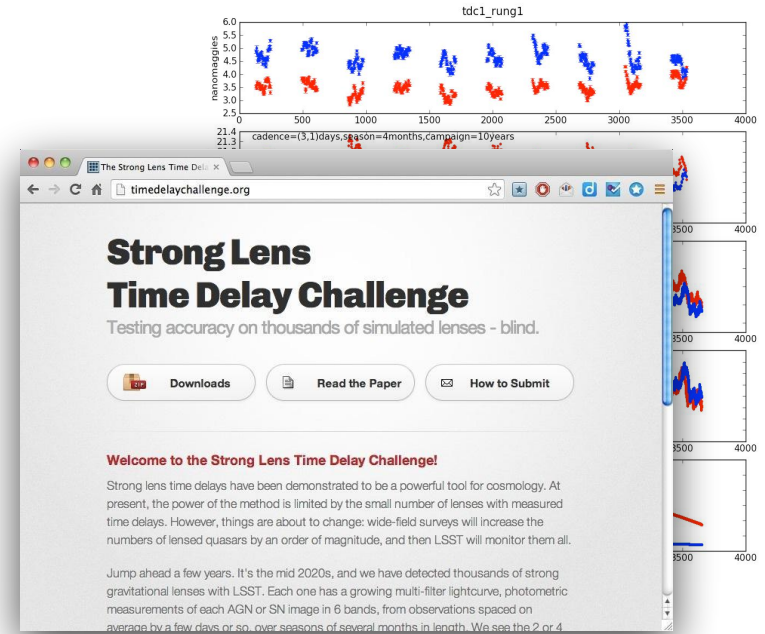
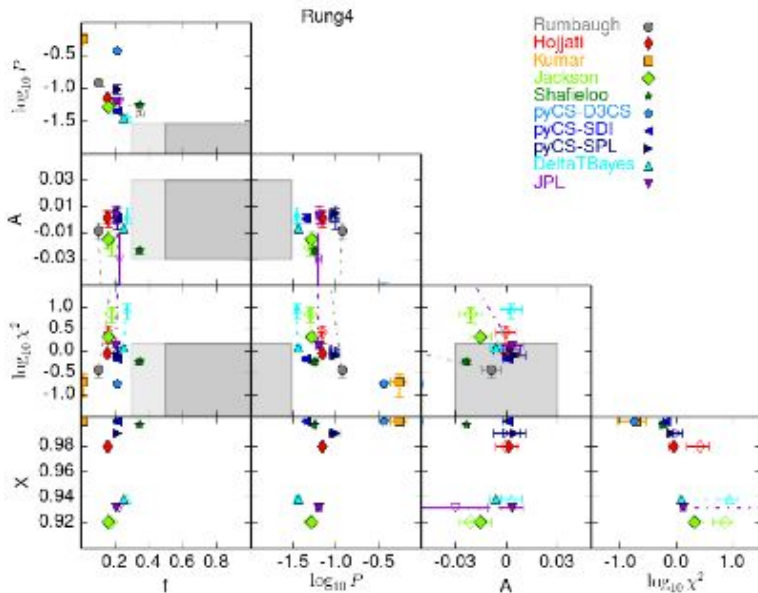


- **Catalog-based candidate detection.** *Needs: good [deblender](#), the right parameters (color, morphology, variability) saved, [rapidly executable DB queries](#), [intelligent alert brokering for lensed SNe](#)*
- **Image modeling for candidate classification.** *Needs: access to postage stamp images at data center in a [“Multi-Fit,”](#) via [Level 3 API](#), reliable PSF models and image registration. Or, [convnets](#)*
- **Candidate visualization for quality control.** *Needs: [optimally-viewable color images](#), [web-based system for crowd-sourcing](#)*



# Time delay measurement

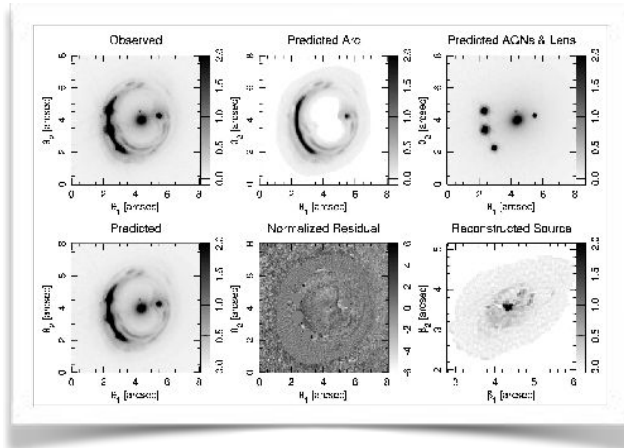
The “Time Delay Challenges” are answering the question, how many accurate time delays can we expect from LSST?



The single-filter TDC1 results suggest a sample of 400 should be possible...

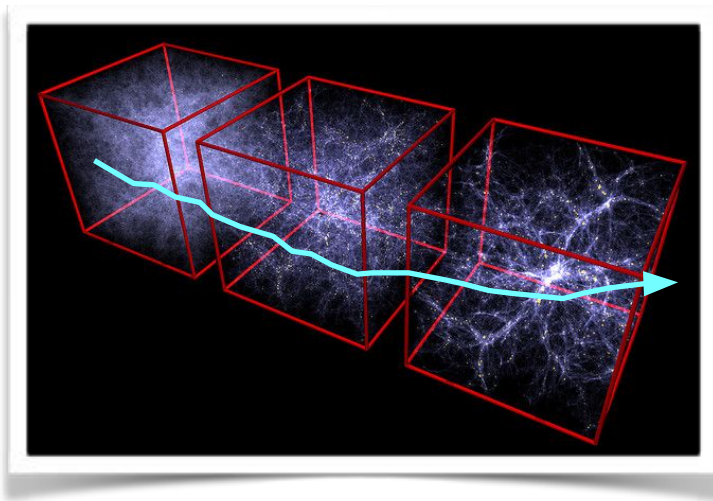
*TDC2 will test our ability to measure time delays from low-cadence, multi-filter data. Will lensed SNe be easier?*

# Mass modeling



- **High accuracy lens modeling.** Needs: high res follow-up with JWST, ELTs, IFUs.

*Well-sampled, high flexibility mass models, constrained with lensing and spatially-resolved kinematics. Joint inference validated on realistic simulated systems*



- **Environment density characterisation.** Needs:  $M^*$ , photo-z, weak shear catalogs for all galaxies within  $\sim 5$  arcmin radius of many sightlines.  $10^{6-9}$  dimensional inference code?

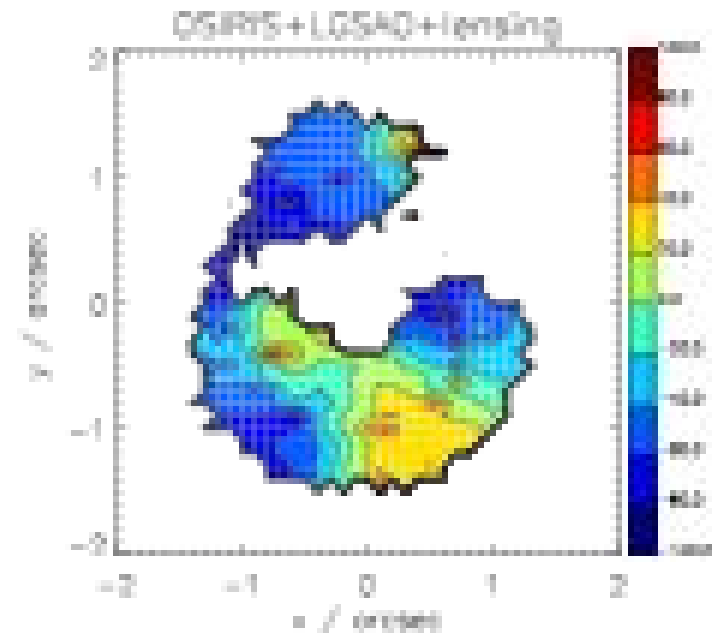
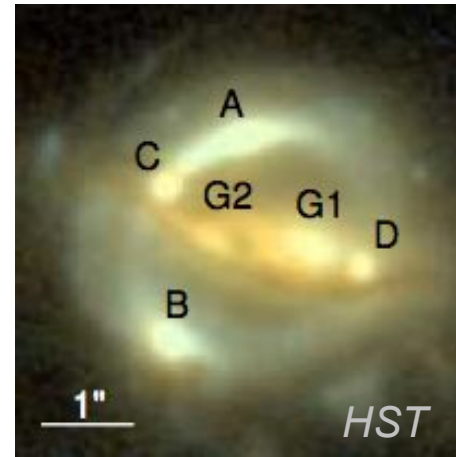
# Following up 100 lenses?

High resolution Einstein Ring imaging, IFU observations for spatially resolved lens kinematics.

Total imaging costs:

- Keck (2015): ~300 hrs
- Keck (NGAO): ~35 hrs
- TMT: ~6 hrs
- JWST: ~ few dozen orbits

IFU data will be more expensive:  
1 hour *per lens* with TMT, i.e. 2 nights per year for 10 years



# Goals

- Understand the basic, multi-faceted technique of “time delay lens cosmography”
- Be able to interpret its results, and ask the right questions about its systematic errors
- See the research opportunities on offer