## Axions

**Malcolm Fairbairn** 

APS+L Woerden – October 2017









It's very nice to be here,

Thank you for the invitation and the organisation.



Amsterdam-Paris-Stockholm dark matter meeting used to be called APS but tomorrow it's getting a SLAP from London (and I made the train too)



- Axion phenomenology lightning introduction
- Probing QCD axion with microlensing
- (if time) Ultra Light Axions







## **Axion Phenomenology Lightning Introduction**

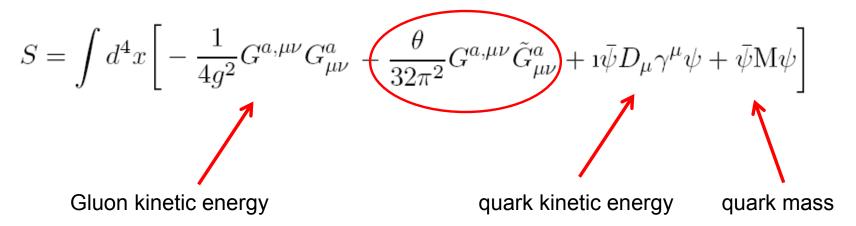


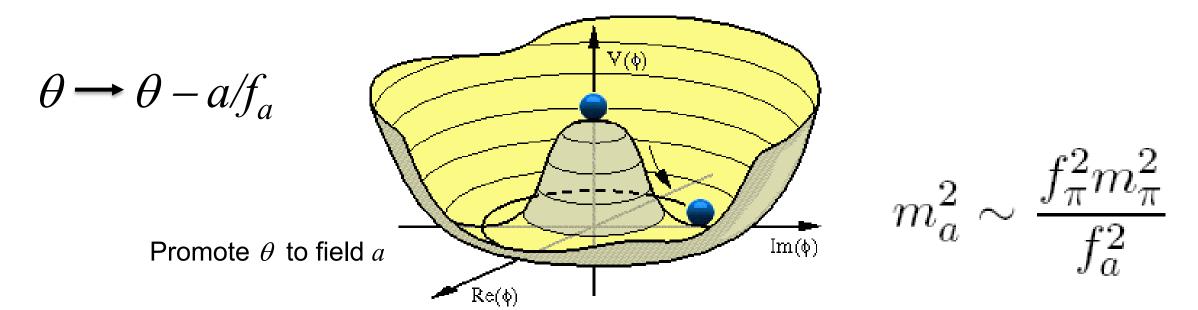




#### **Axions as Dark Matter**

What is this? Leads to CP violation (neutron EDM)

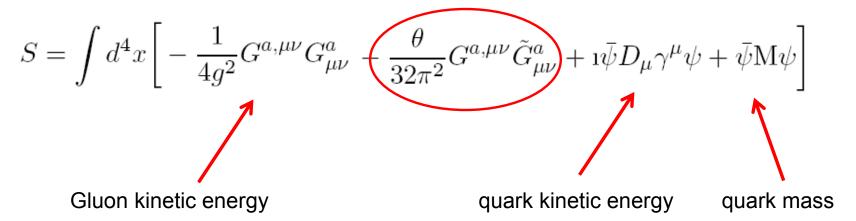


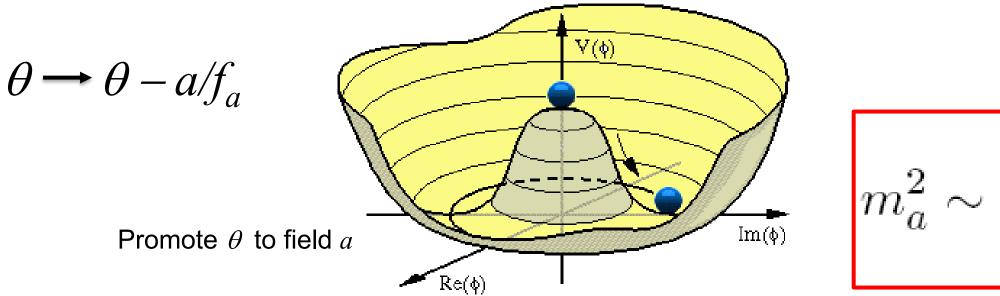


Also induces coupling to photons

#### **Axions as Dark Matter**

What is this? Leads to CP violation (neutron EDM)





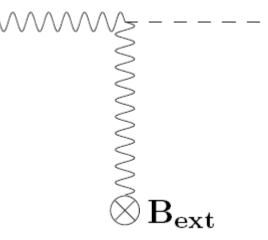
 $m_a^2 \sim \frac{f_\pi^2 m_\pi^2}{f_a^2}$ 

Also induces coupling to photons

#### Phenomenological consequences:coupling to photons

$$\mathcal{L} = \frac{1}{2} (\partial^{\mu}\psi \partial_{\mu}\psi - m^2\psi^2) - \frac{1}{4} \frac{\psi}{M} F_{\mu\nu} \widetilde{F}^{\mu\nu} - \frac{1}{4} F_{\mu\nu} F^{\mu\nu}$$

Consider axion production in magnetic field of nucleon in sun



$$\frac{d\epsilon}{dt} \sim \frac{T^7}{M^2} \qquad ; \qquad M \sim f_a$$

Existance of sun alone suggests M > 10<sup>8</sup>GeV

#### Lagrangian and mixing

$$\mathcal{L} = \frac{1}{2} (\partial^{\mu} \psi \partial_{\mu} \psi - m^2 \psi^2) - \frac{1}{4} \frac{\psi}{M} F_{\mu\nu} \widetilde{F}^{\mu\nu} - \frac{1}{4} F_{\mu\nu} F^{\mu\nu}$$

can linearise solutions when refractive index close to unity

$$i\partial_z \Psi = -\left(\omega + \mathcal{M}\right) \Psi$$
 ;  $\Psi = \begin{pmatrix} A_x \\ A_y \\ a \end{pmatrix}$ 

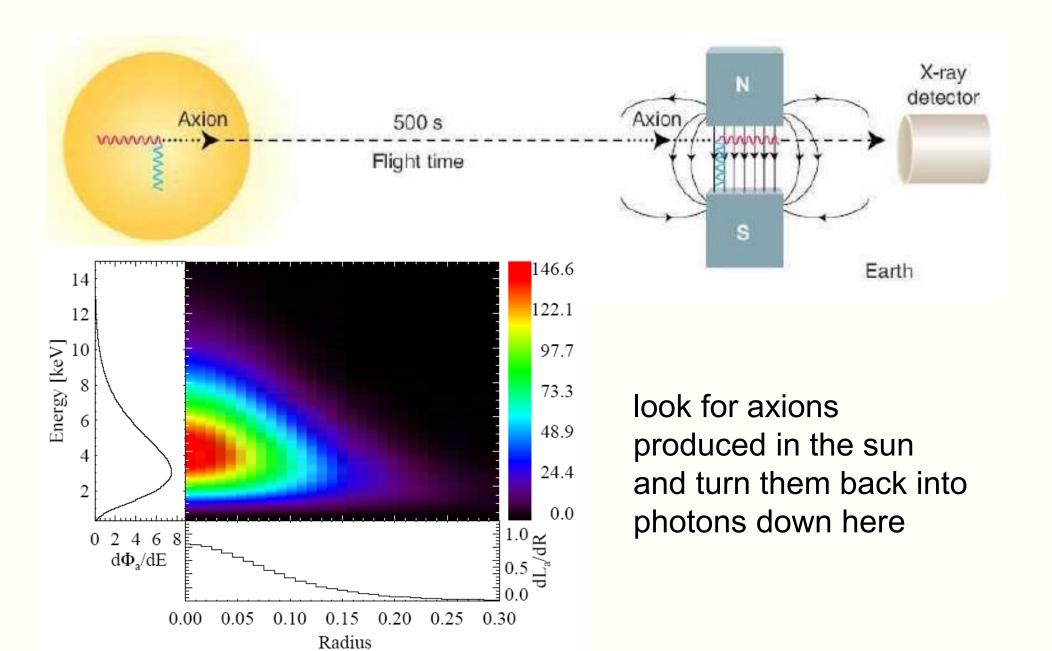
mixing matrix: 
$$\mathcal{M} \equiv \begin{pmatrix} \Delta_p & 0 & \Delta_{Mx} \\ 0 & \Delta_p & \Delta_{My} \\ \Delta_{Mx} & \Delta_{My} & \Delta_m \end{pmatrix}$$

$$\Delta_{Mi} = \frac{D_i}{2M}$$

$$\Delta_m = \frac{m^2}{2\omega}$$

$$\Delta_p = \frac{\omega_p^2}{2\omega}$$

#### **Search for Solar axions**



#### **CAST:** cern-axion-solar-telescope

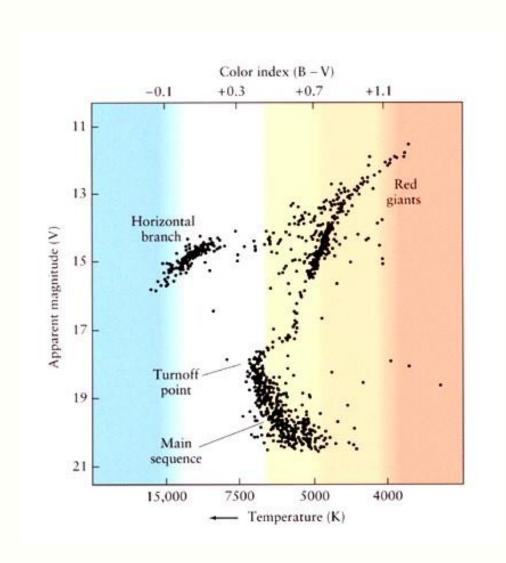


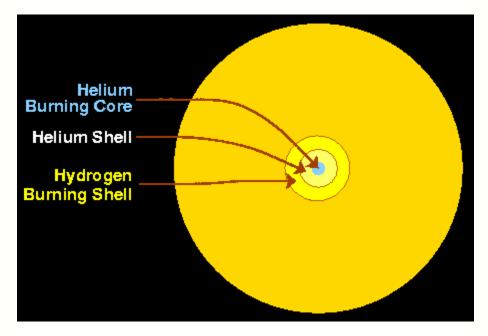
#### **Horizontal Branch Stars**



#### **Horizontal Branch Stars**

Helium burning in core leads to huge central luminosity – temperature gradient is saturated – convective core.





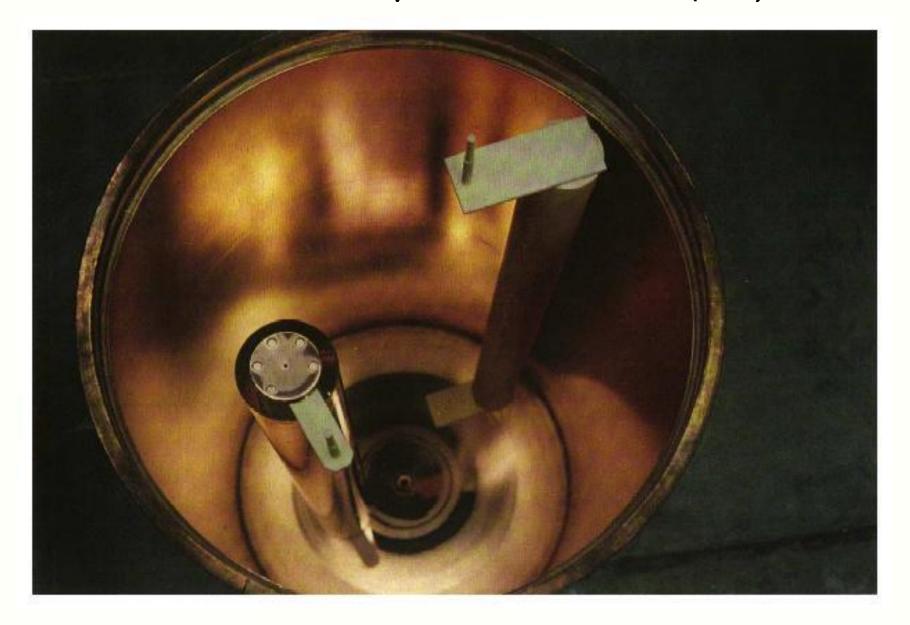
Presence of axion could easily allow energy to escape from this central region

#### Vacuum Resonant mixing in periodic field

$$P_{\gamma_{\parallel} \to a}^{(cos)} = \left| \int_{0}^{L} dt_1 \Delta_M \cos\left(\frac{t_1}{l_0}\right) e^{i\Delta_m t_1} \right|^2 =$$

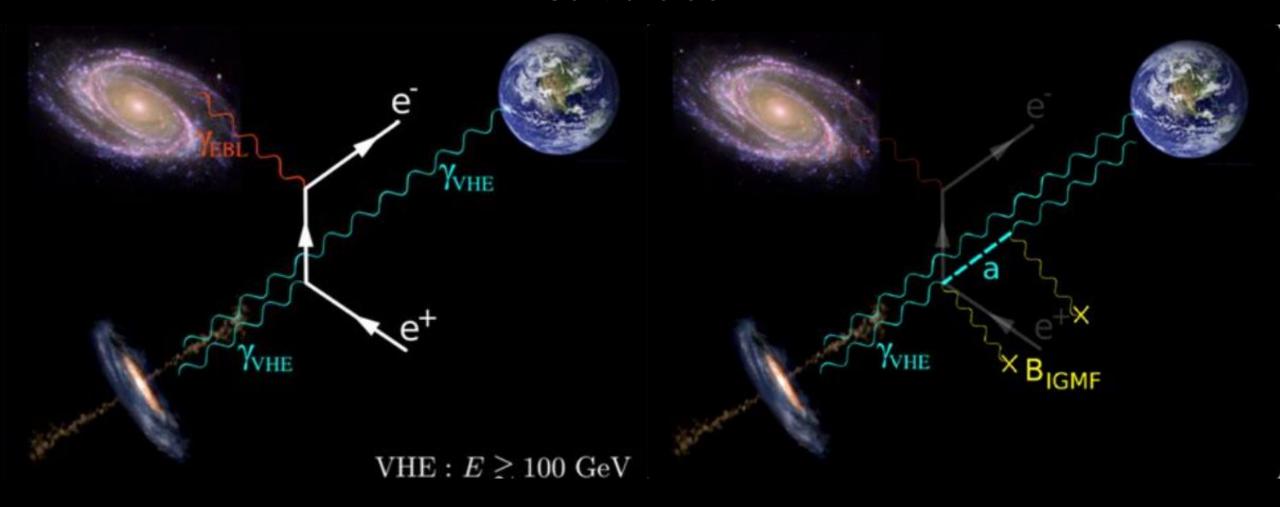
$$\frac{P_{\gamma_{\parallel} \to a}^{(cos)}}{P_{\gamma_{\parallel} \to a}^{(const)}} \approx \frac{1}{\left(\Delta_m^2 l_0^2 - 1\right)^2}$$

#### **ADMX – Axion Dark Matter Experiment PRD 69-11101(2004)**

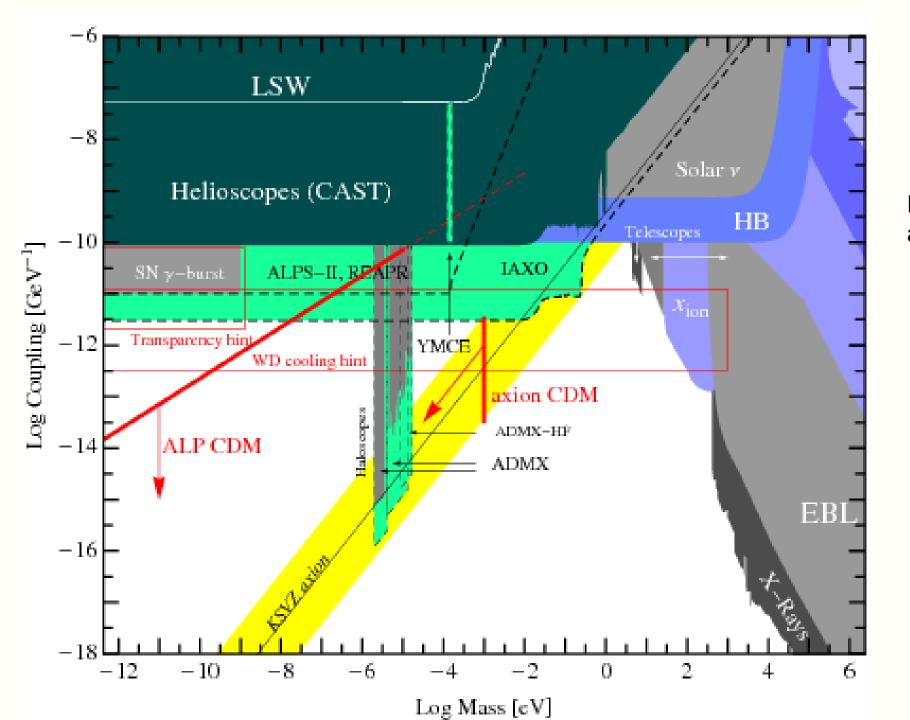


Possible Hints for anomalous Transparency of Universe? Might be due to Axions.

Controversial.



See Work by Horns and Meyer and more recently Troitsky et al. Pictures are from Ringwald.



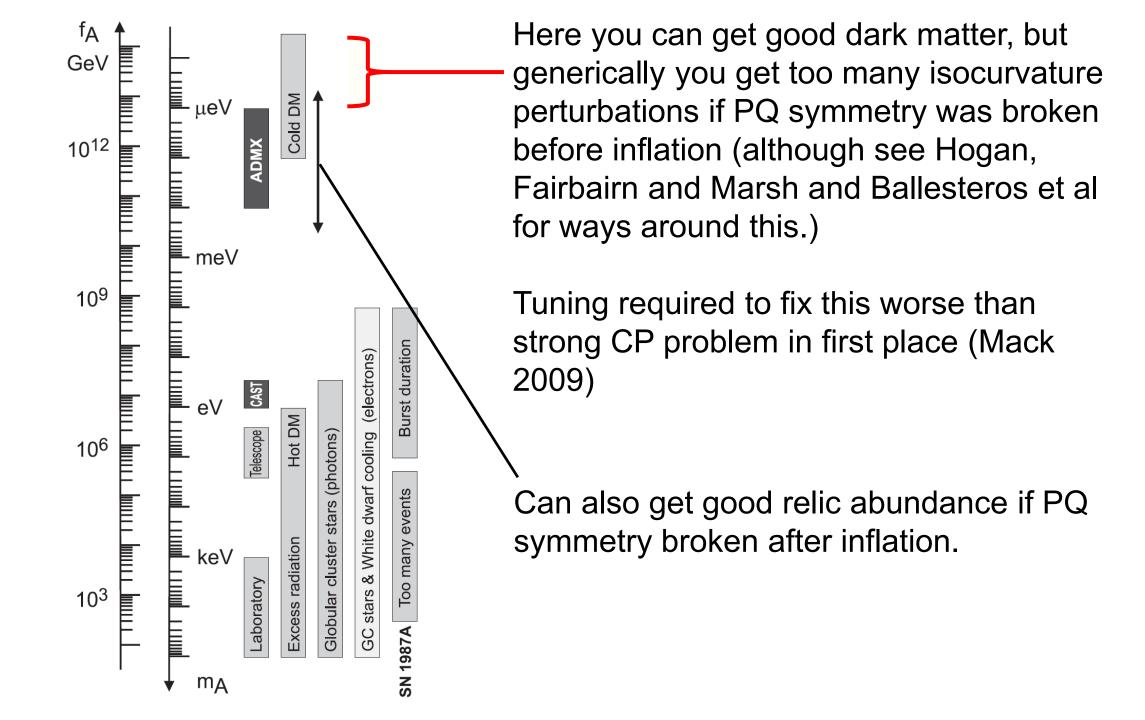
Ringwald arXiv:1210.5081

## Probing QCD Axion with microlensing









### What Happens Step by Step

- 1. PQ phase transition after inflation lots of different values in different regions
- 2. Field smooths itself out on horizon scale in the style of Kibble Mechanism
- 3. Axion acquires a mass, leading to big over-densities from place to place
- 4. Field now collapses to form (very) dense miniclusters with typical mass equal to that inside horizon
- 5. All of these isocurvature perturbations physics occurs on very small scales, on large scales they fall into adiabatic perturbations
- 6. We then try to observe the small scale miniclusters today with lensing

#### U(1) PQ symmetry broken by axion mass after inflation

Relic abundance then set by different value of the axion field in different regions of the Universe

Generic answer (from particle data group) is given by

$$\Omega_A^{\text{real}} h^2 \approx 0.11 \left( \frac{41 \ \mu \text{eV}}{m_A} \right)^{1.19}$$

On its own suggests that the axion mass is about 40 micro-eV but there is a range over perhaps a couple of orders of magnitude because the contribution from the decay of topological defects is uncertain.

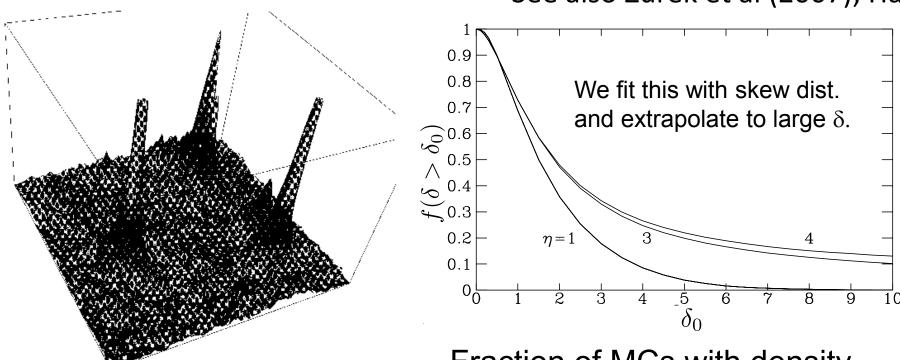
Correlations in this field are on length scale of horizon at phase transition – very small- much smaller than cosmological Planck/galaxy scales etc.

#### U(1) PQ symmetry broken by axion mass after inflation

$$M_0 = \bar{\rho}_a \frac{4}{3} \pi \left(\frac{\pi}{a(T_0)H(T_0)}\right)^3 \qquad \text{Mass inside horizon = $M_0$}$$
 
$$m_a(T) = m_{a,0} (T/T_c)^{-n} \\ 10^{-3}$$
 For QCD instantons, Theory and lattice simulations suggest that n=3.34. Wantz and Shellard, 0910.1066. Borsanyi et al., 1508.06917, 1606.07494. 
$$10^{-15}$$
 
$$n = 0$$
 
$$n = 3.34$$
 
$$n = 6$$
 
$$T_0$$
 depends upon  $n$ 

## Simulations: Kolb & Tkachev (1990s)

See also Zurek et al (2007); Hardy (2016)



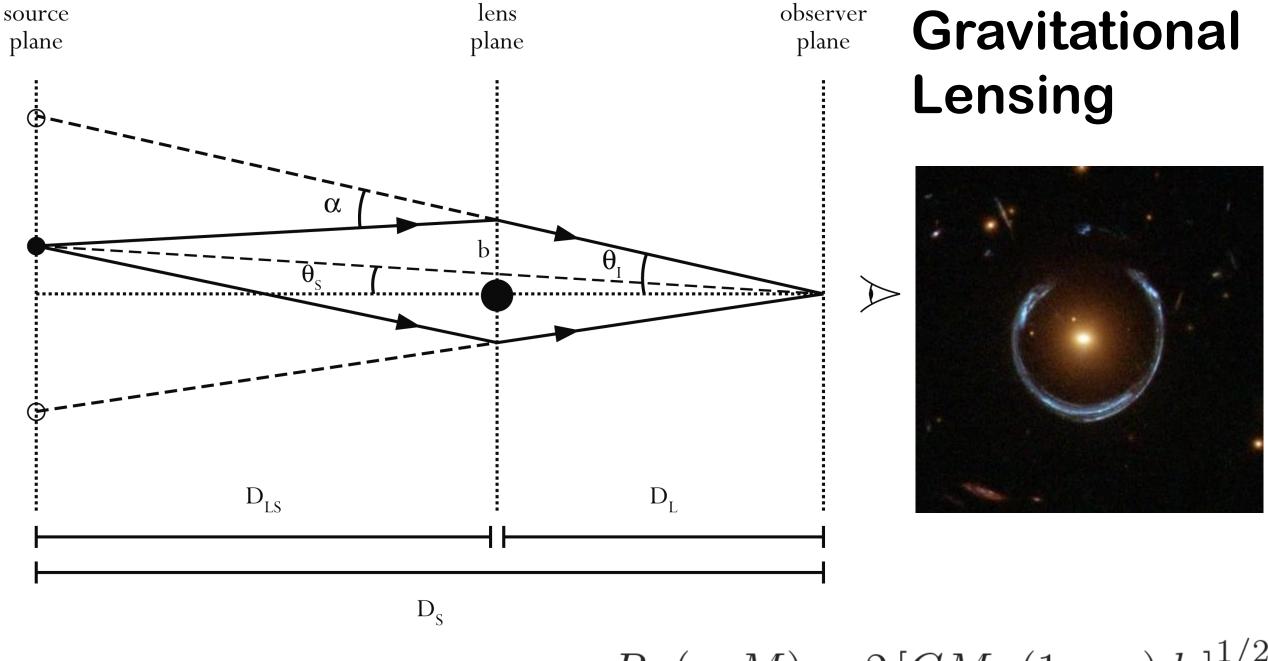
Fraction of MCs with density

Minicluster formation simulated without gravity or phase transition.

$$\rho_c = 140\delta^3 (1+\delta)\rho_a (1+z_{\rm eq})^3$$

The fraction of DM in miniclusters,  $f_{MC}$ , is not predicted.

Our goal: constrain  $f_{MC}$  observationally.



 $R_{\rm E}(x,M) = 2 \left[ GMx(1-x)d_s \right]^{1/2}$ 

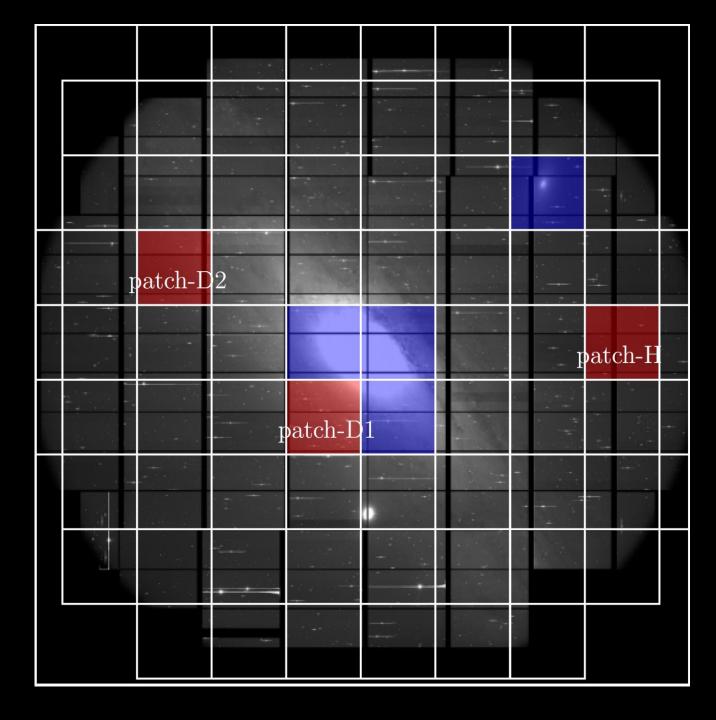
#### **Subaru Hyper Suprime Cam (HSC)**

1.5 degree coverage on sky, can cover whole of Andromeda Galaxy (M31)

Blue patches excluded due to too many objects

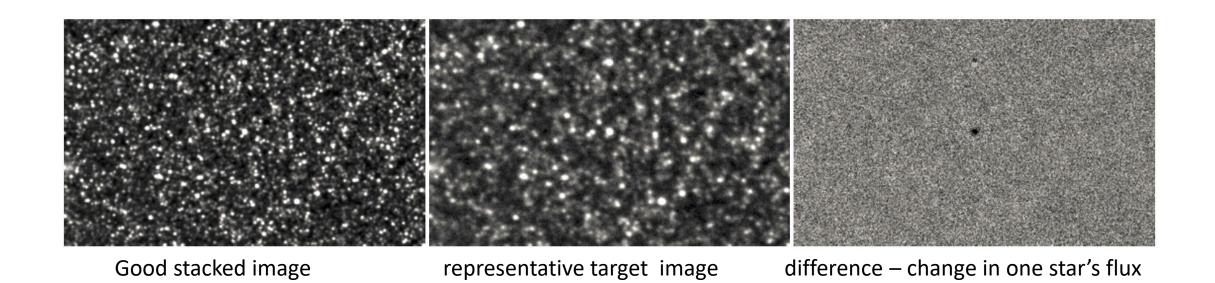
D1 representative of inner disk D2 outer disk H halo

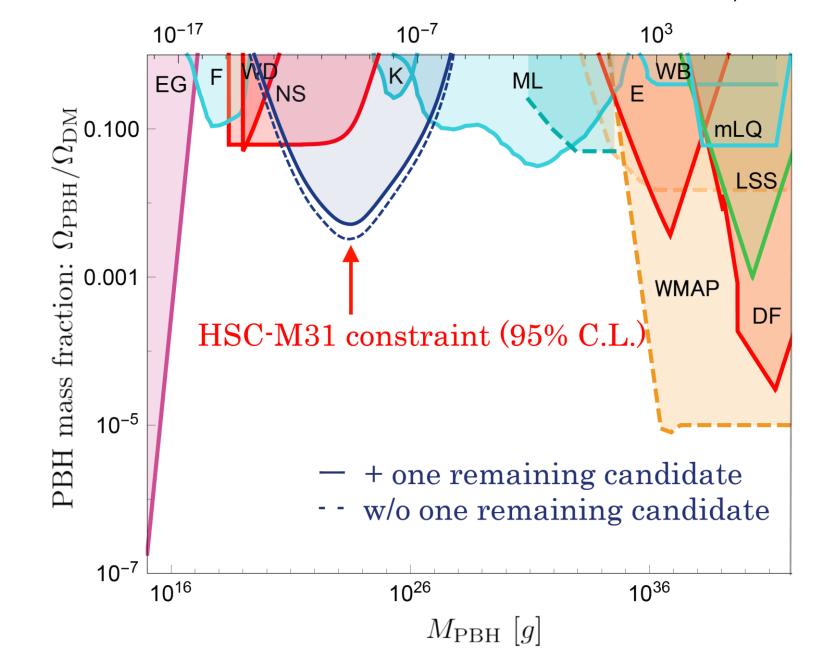
Niikura et al, 1701.02151

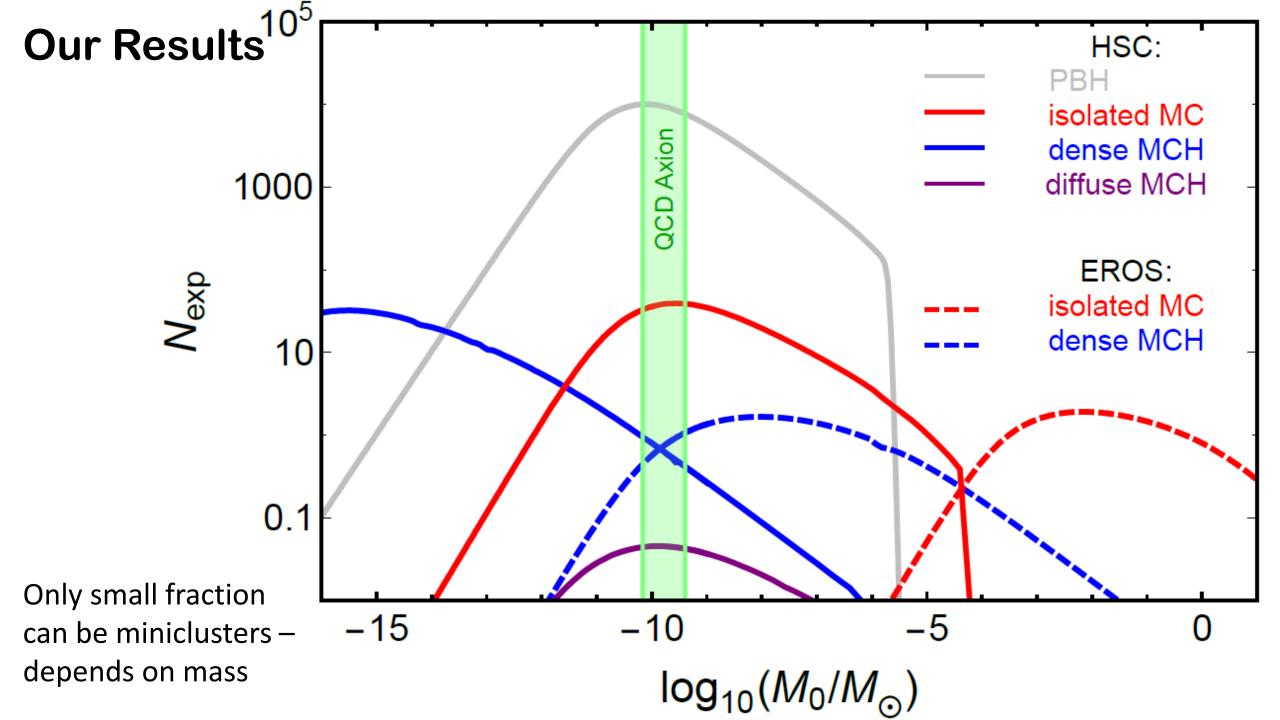


### Subaru Hyper Suprime Cam (HSC)

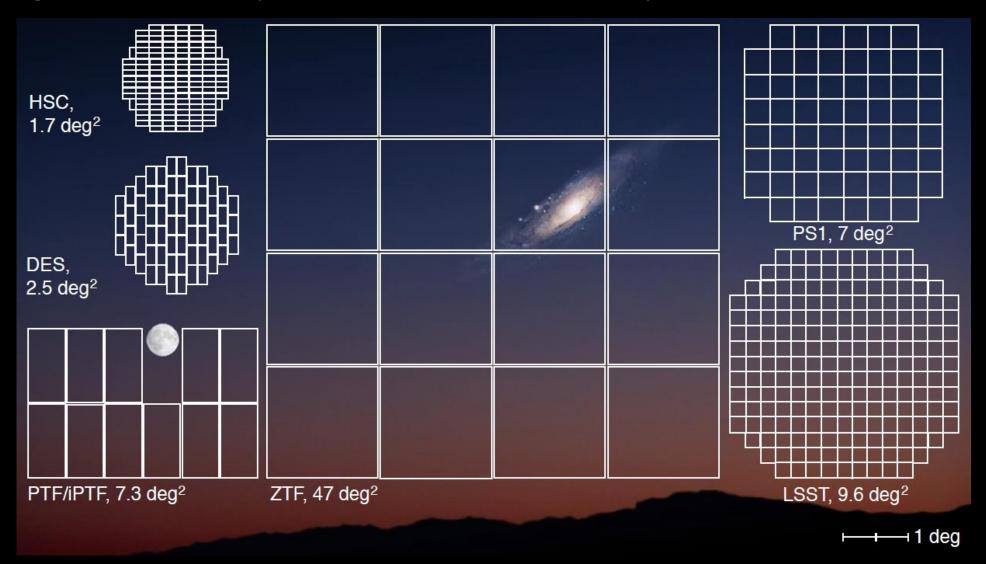
Has only collected 7 hours of data – already has very strong constraints on lensing events







# Upcoming Surveys - many of which plan much more exposure than HSC



#### What do we need to know to further exploit this discovery channel?

- What fraction of the axion dark matter ends up in miniclusters?
- What is the expected distribution of over-densities for the halos?
- Is the minicluster-axion mass relation we assume correct?
- What is the subsequent evolution of the halos (tidal disruption? Friction?)
- What is the precise density profile of the halos (shouldn't be too critical)

## Conclusions on QCD Axion Microlensing

- Gravitational Microlensing seems to be about to experience a renaissance
- Microlensing is a promising discovery channel for axion miniclusters
- With assumptions we have made, QCD axion can be searched for in this channel
- Those assumptions need to be checked, re-investigated and updated!







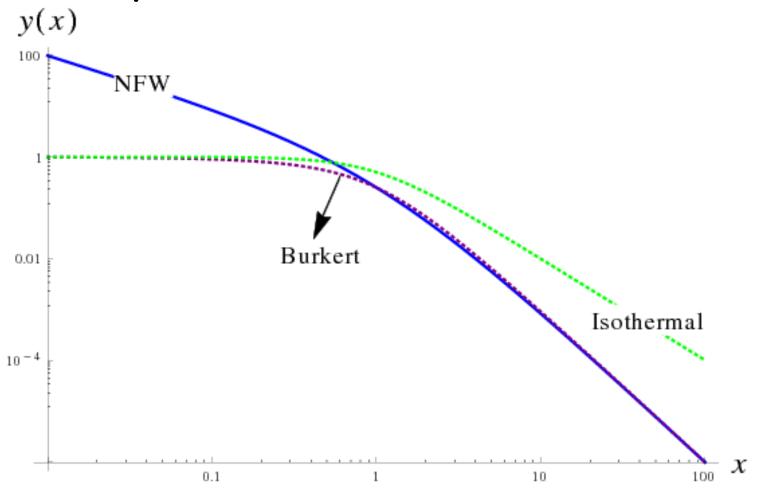
## **New Probes of Ultra Light Axions**







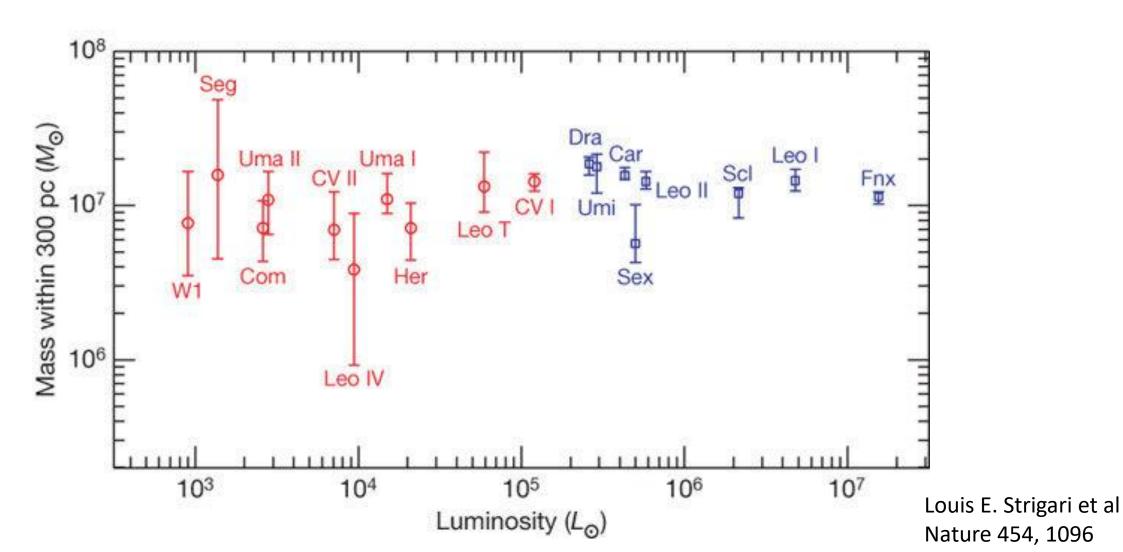
#### Cusps vs. Cores – would like to know



N-body simulations predict cuspy profiles like NFW. Exotic models (Self interacting DM and ULA) predict cores. Milky Way no good for this, central region baryon dominated.

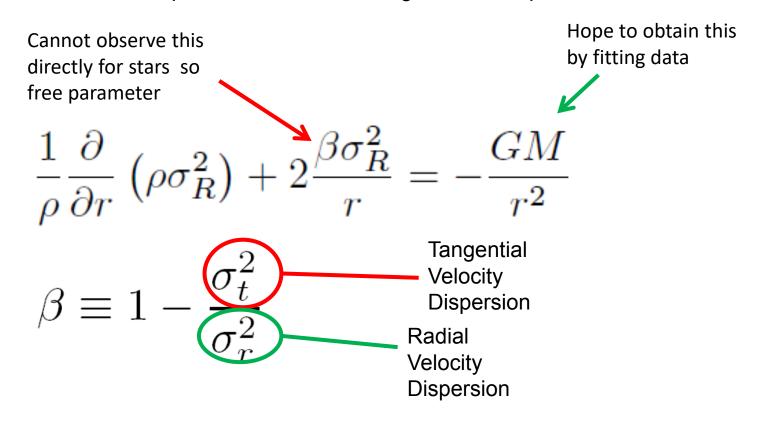


# Dwarf Spheroidal Galaxies have HUGE mass to light ratios baryons are therefore only tracers of potential

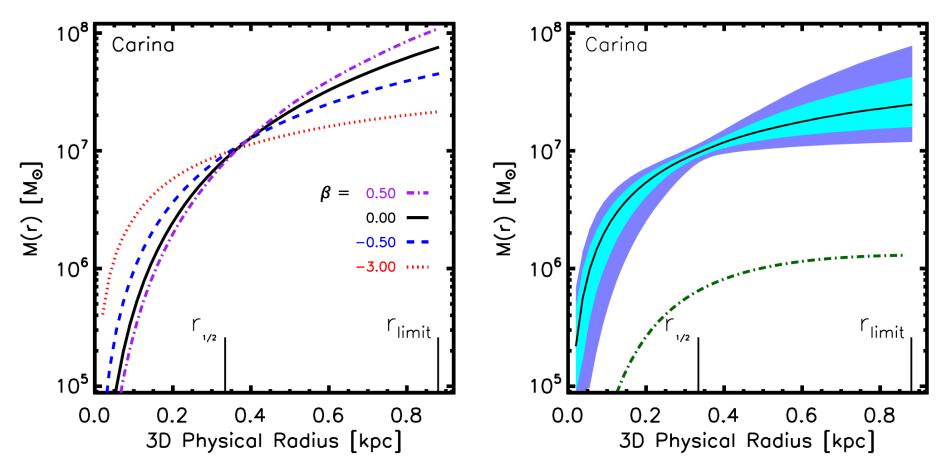


## How do you work out how much DM in Dwarf Spheroidals?

Use the Jeans equation and the line of sight stellar dispersion



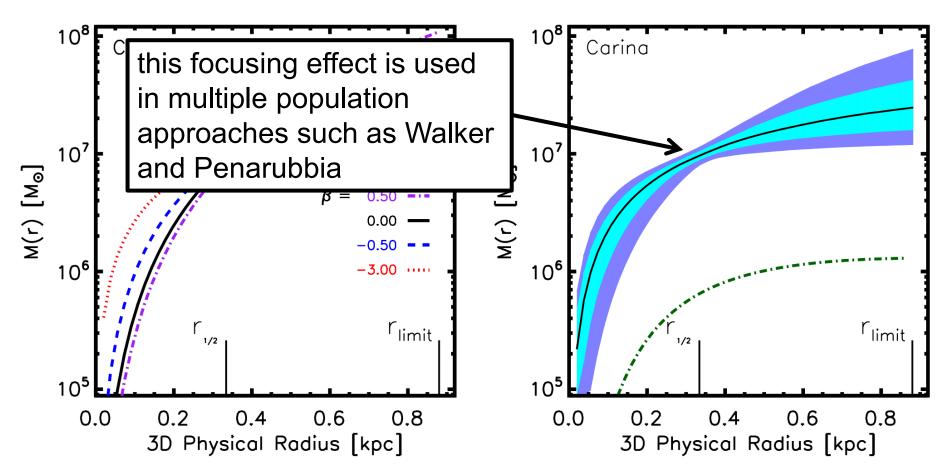
line of sight dispersion then 
$$\; \Sigma \langle v_z^2 \rangle(R) = 2 \int_R^\infty (1-\beta \frac{R^2}{r^2}) \frac{\nu \langle v_r^2 \rangle r}{\sqrt{r^2-R^2}} dr$$



Plots from Wolf et al 0908.2995

Only really sure of the enclosed mass at the half light radius. *Maybe this is enough for J-factors....* 

 $\beta$  degeneracy problem – could be a cusp, could be a core!



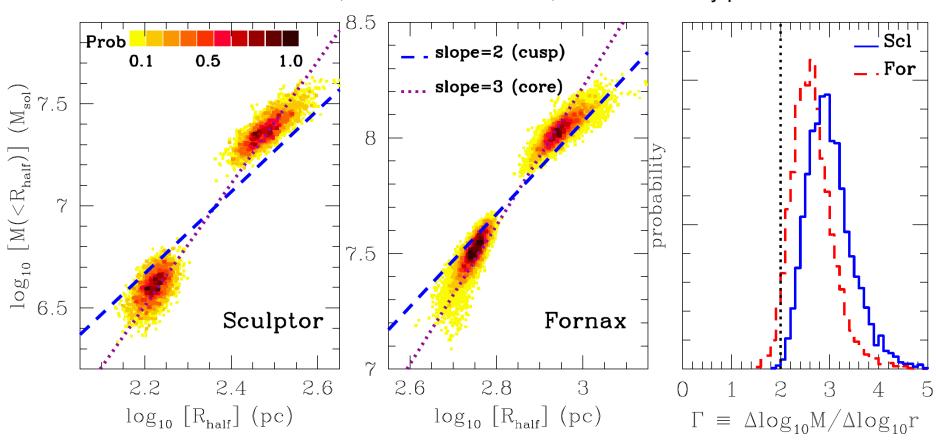
Plots from Wolf et al 0908.2995

Only really sure of the enclosed mass at the half light radius. *Maybe this is enough for J-factors....* 

# Example of core detection:Walker and Penarrubia Method

Split population into two using metallicity and then look for radius at which enclosed mass degeneracy shrinks :-

two different radii, two different masses, can infer density profile.

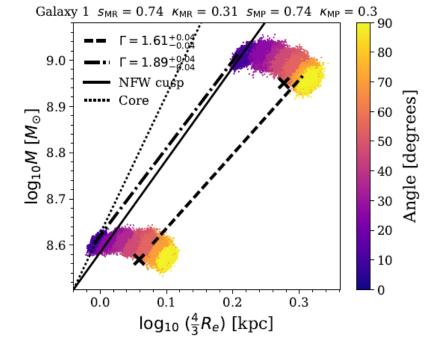


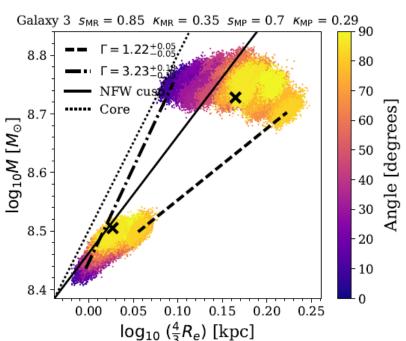
arXiv:1108.2404

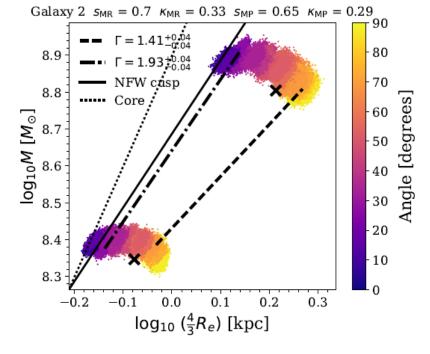
# The core - cusp problem: a matter of perspective

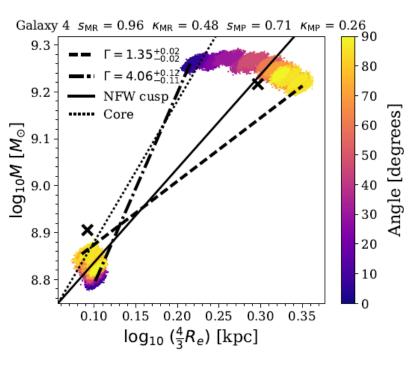
Anna Genina, Bentez-Llambay, Frenk, Cole, Fattahi, Navarro, Oman, Sawala, Theuns

Based on 53 dwarf galaxies in the APOSTLE LCDM cosmological hydrodynamics simulations of analogues of the Local Group.









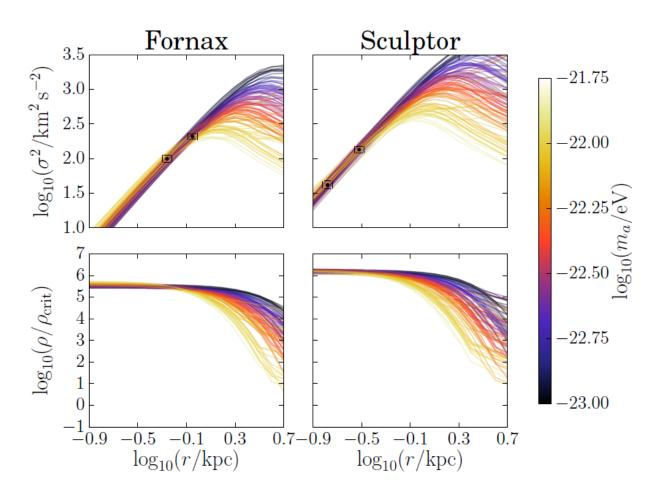
#### Axion dark matter, solitons, and the cusp-core problem

David J. E. Marsh¹\* and Ana-Roxana Pop²†

Ultra-light axions give rise to cored density profiles in smaller galaxies

May explain some of the cores...

Would result in slowly oscillating axion field.

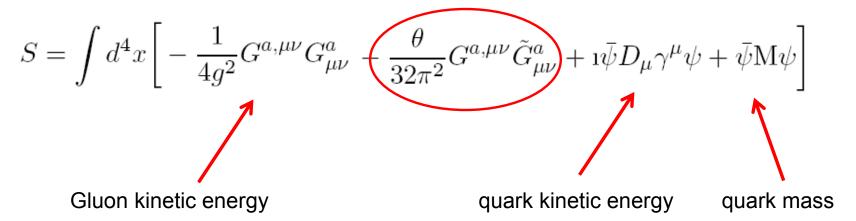


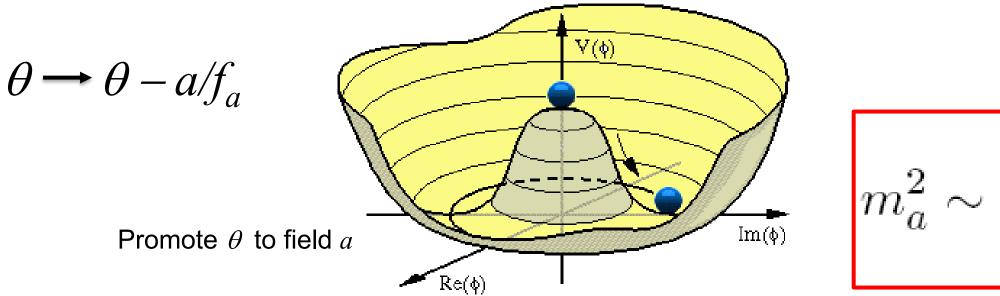
<sup>&</sup>lt;sup>1</sup>Perimeter Institute, 31 Caroline St N, Waterloo, ON, N2L 6B9, Canada

<sup>&</sup>lt;sup>2</sup>Department of Physics, Princeton University, Princeton, NJ 08544, USA

#### **Axions as Dark Matter**

What is this? Leads to CP violation (neutron EDM)

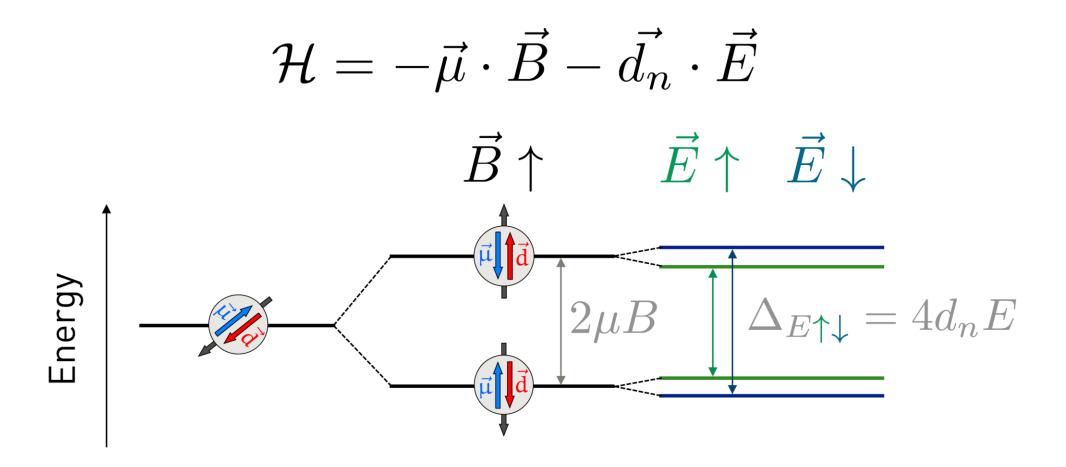




 $m_a^2 \sim \frac{f_\pi^2 m_\pi^2}{f_a^2}$ 

Also induces coupling to photons

#### How to measure the nEDM



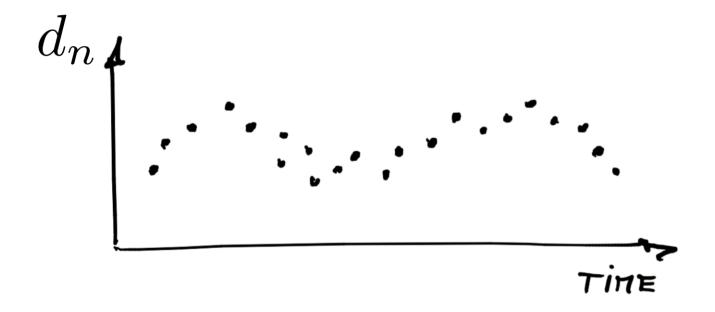
Measure a change in the transition frequency in a presence of an electric field.



## Run-base analysis – ILL data

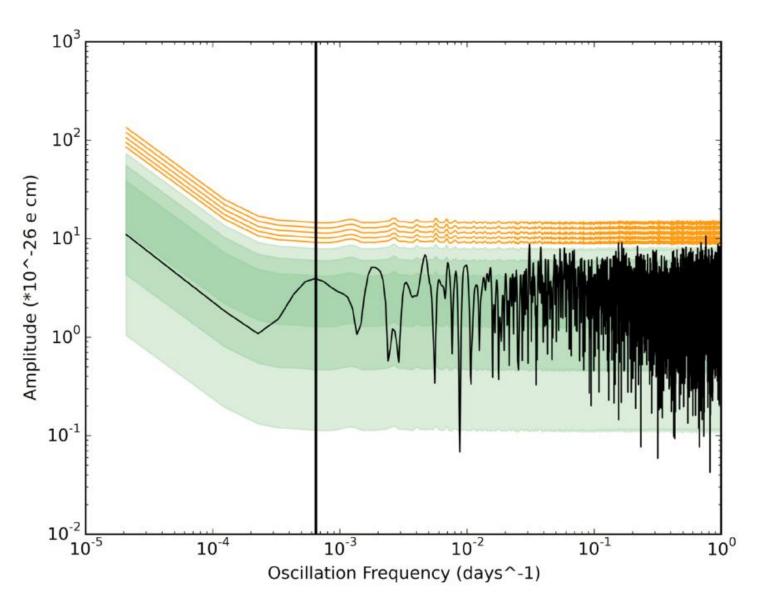
Work of Nicholas Ayres, University of Sussex, UK

We get an  $d_n$  estimate every 1-73 hours.



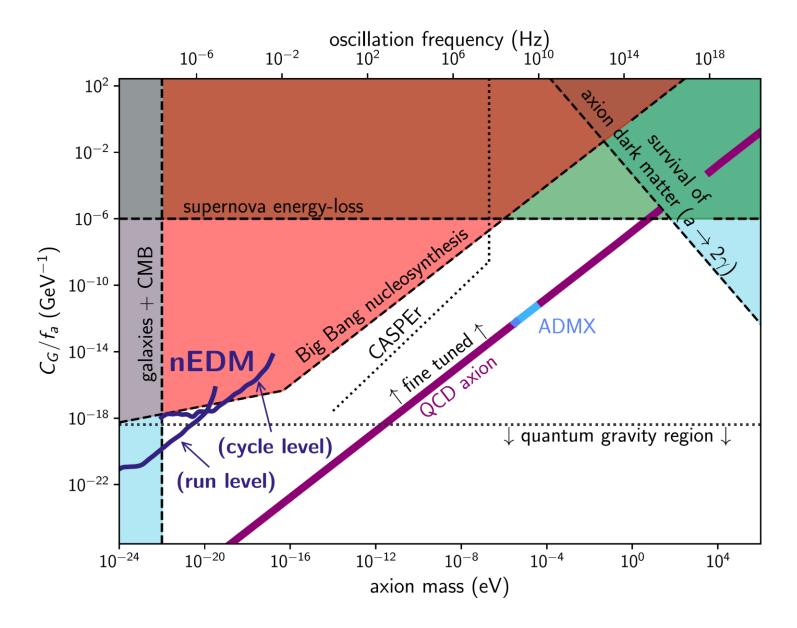


## False-Alarm Thresholds





## **Limits**





# **Conclusions on Ultra Light Axions**

- Many particle models are created to solve the "core problem" of dwarf spheroidals.
- Unfortunately it is not clear that such a problem exists. Many techniques are being developed to find out if this is true or not.
- If true, may be due to ultra light axions.
- New methods to test regime of ultra light axions are being developed.







Dark Matter Searches are no place for Dogma.

Could be WIMPs, sterile neutrinos, axions, hidden sector glueballs, KK particles, whatever....

Whenever we come up with an idea to test one of these we should do so. There will be lots of new ways to test these scenarios in the coming Years...

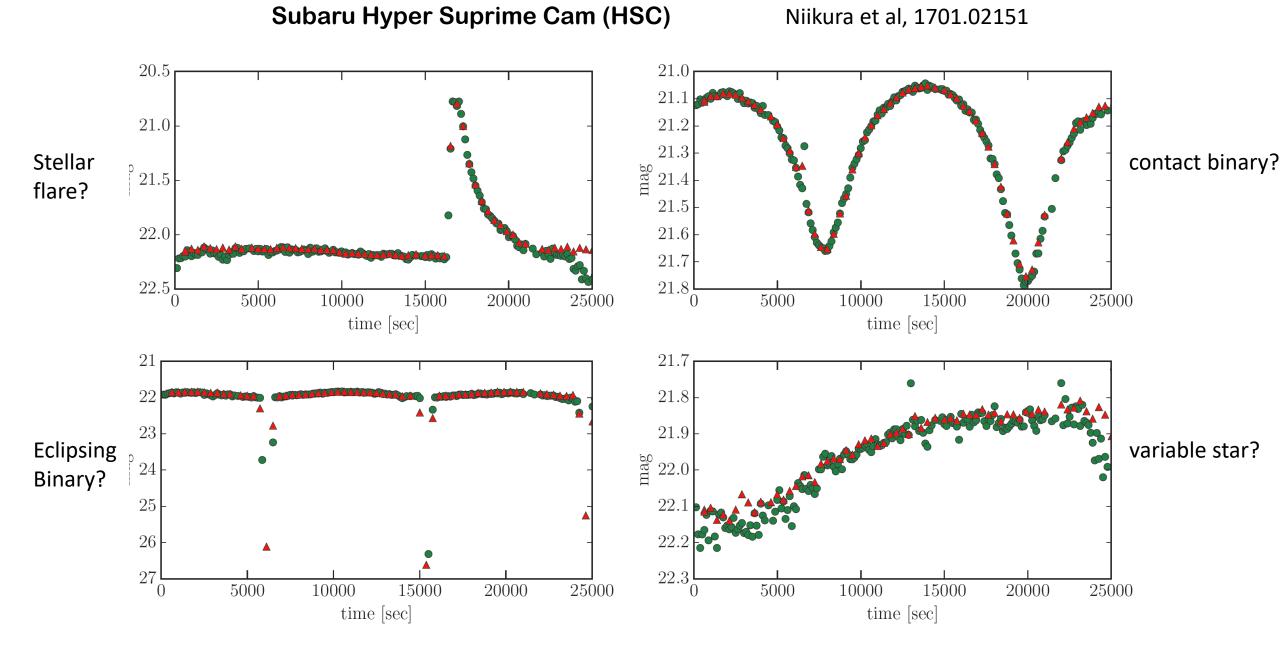


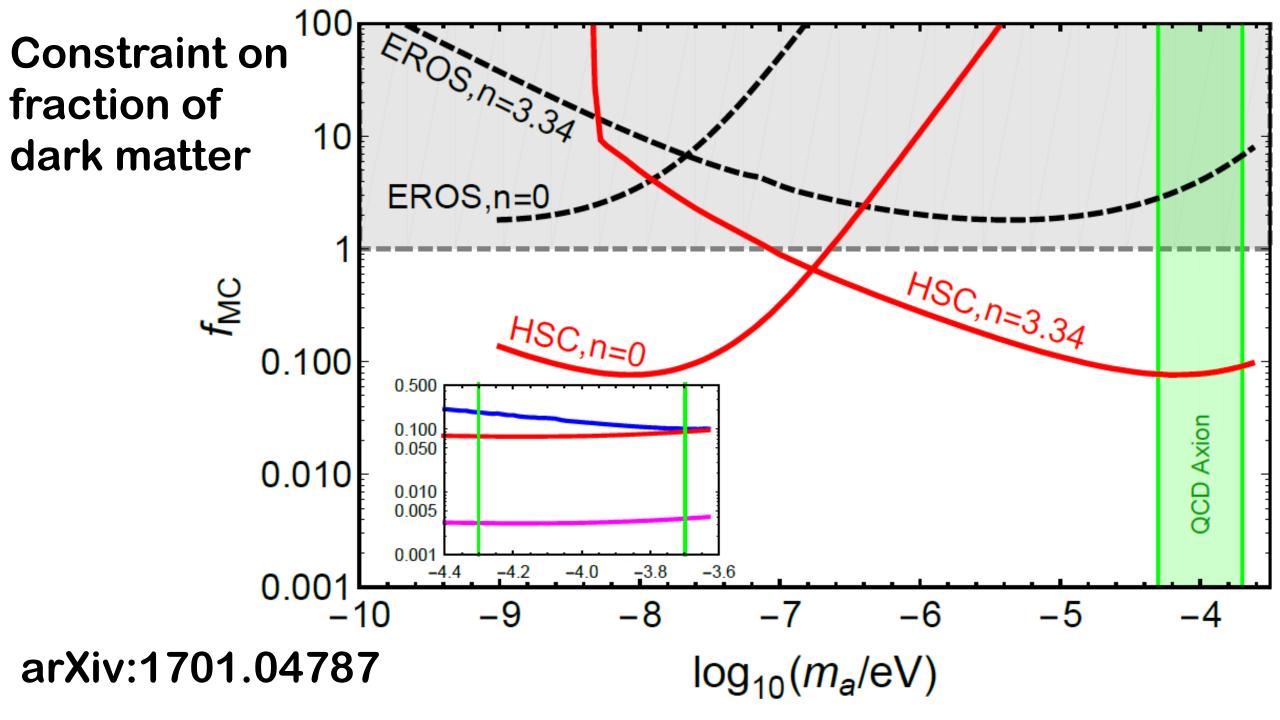






Please apply!





### Magnification in the point mass vs. the extended mass case

Most haloes are very diffuse and therefore cause no lensing

Magnification for a distributed source

$$\mu = [(1 - B)(1 + B - C)]^{-1}$$

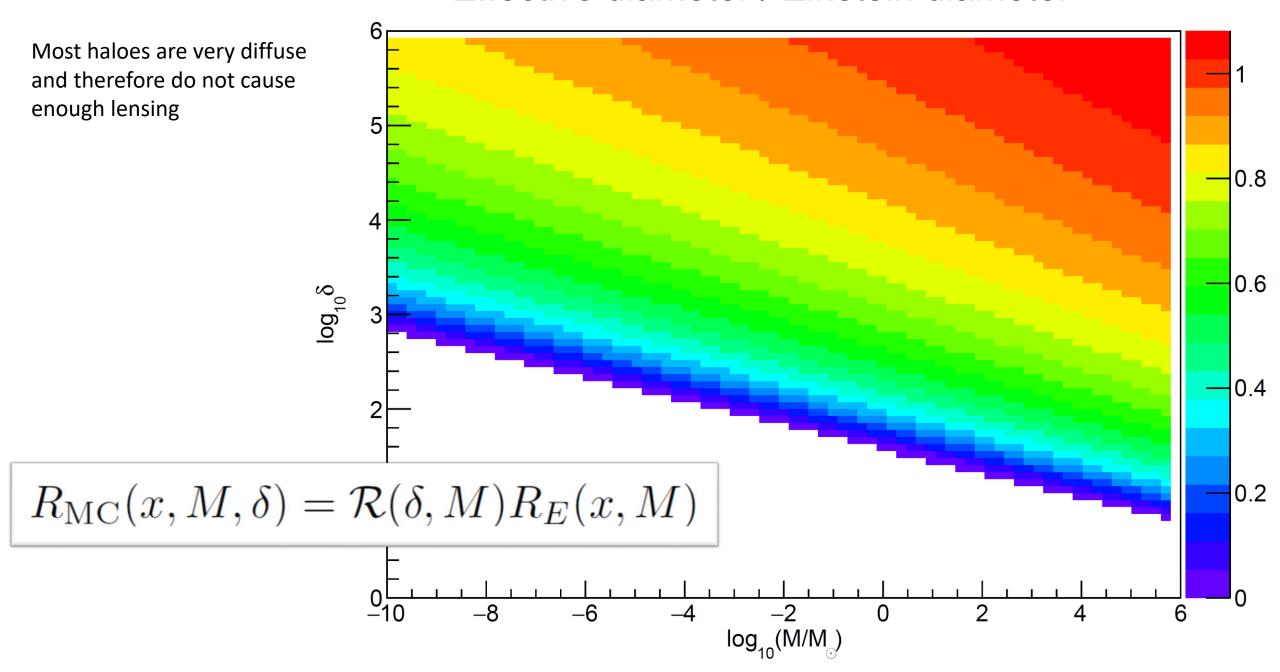
$$C = \frac{1}{\Sigma_c \pi r} \frac{dM(r)}{dr} \; ; \; B = \frac{M(r)}{\Sigma_c \pi r^2} \; ; \; \Sigma_c = \frac{c^2 D_S}{4\pi G D_L D_{LS}}$$

We have distributed density which, while dense, is not a point mass.

For each halo we need to integrate inwards to find value of r where  $\mu$ =1.34.

In practise the corresponds to outer image having magnification of 1.17.

#### Effective diameter / Einstein diameter



# Theia: Faint objects in motion or the new astrometry frontier

The Theia Collaboration \*

July 6, 2017

