



Pieter
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on behalf of the

DØ

collaboration

SUSY '07
Karlsruhe

Search for
anomalous
direct and indirect
CP violation
in b to c transitions
at DØ



Outline

Analyses overview

①

$$p\bar{p} \rightarrow \mu\mu X$$

hep-ex/0609014, PRD 74, 092001 (2006)

②

$$B_s^0 \rightarrow \mu^+ D_s^- \nu X$$

hep-ex/0701007, PRL 98, 151801 (2007)

③

$$B^+ \rightarrow J/\psi K^+$$

D0 preliminary

<http://www-d0.fnal.gov/Run2Physics/WWW/results/prelim/B/B49/B49.pdf>

Other sources of charge asymmetry

Detector asymmetries

Kaons

Results + combinations^(hep-ex/0702030)



CP violation

Semileptonic charge asymmetry in B_s^0 mixing

① $p\bar{p} \rightarrow \mu\mu X$ (1 fb^{-1})

② $B_s^0 \rightarrow \mu^+ D_s^- \nu X$ (1.3 fb^{-1})

$B_s^0 \rightarrow J/\psi\phi$
(cf. James Walder's talk)

$$A_{SL}^s = \frac{\Delta\Gamma_s}{\Delta M_s} \tan\phi_s$$

SM: $\phi_s \approx (4.2 \pm 1.4) \times 10^{-3}$

Charge asymmetry in

③ $B^+ \rightarrow J/\psi K^+$ (1.6 fb^{-1})

Direct CPV in $b \rightarrow c\bar{c}s$

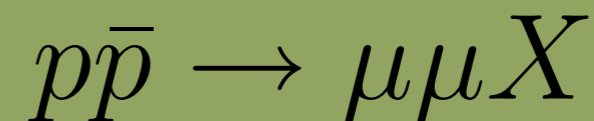
SM: $A_{CP}(B^+ \rightarrow J/\psi K^+) < 1\%$

"lack firm SM prediction"



CP violation in B_s^0 mixing

1



Extract A_{SL}^s from dimuon charge asymmetry

$$A_{SL}^{\mu\mu} = \frac{N(\mu^+\mu^+) - N(\mu^-\mu^-)}{N(\mu^+\mu^+) + N(\mu^-\mu^-)} = \frac{1}{4f} \left[A_{SL}^d + \frac{f_s \chi_{s0}}{f_d \chi_{d0}} A_{SL}^s \right]$$

$A_{SL}^{\mu\mu}$ observed dimuon charge asymmetry

f accounts for other processes

A_{SL}^d from B-factories

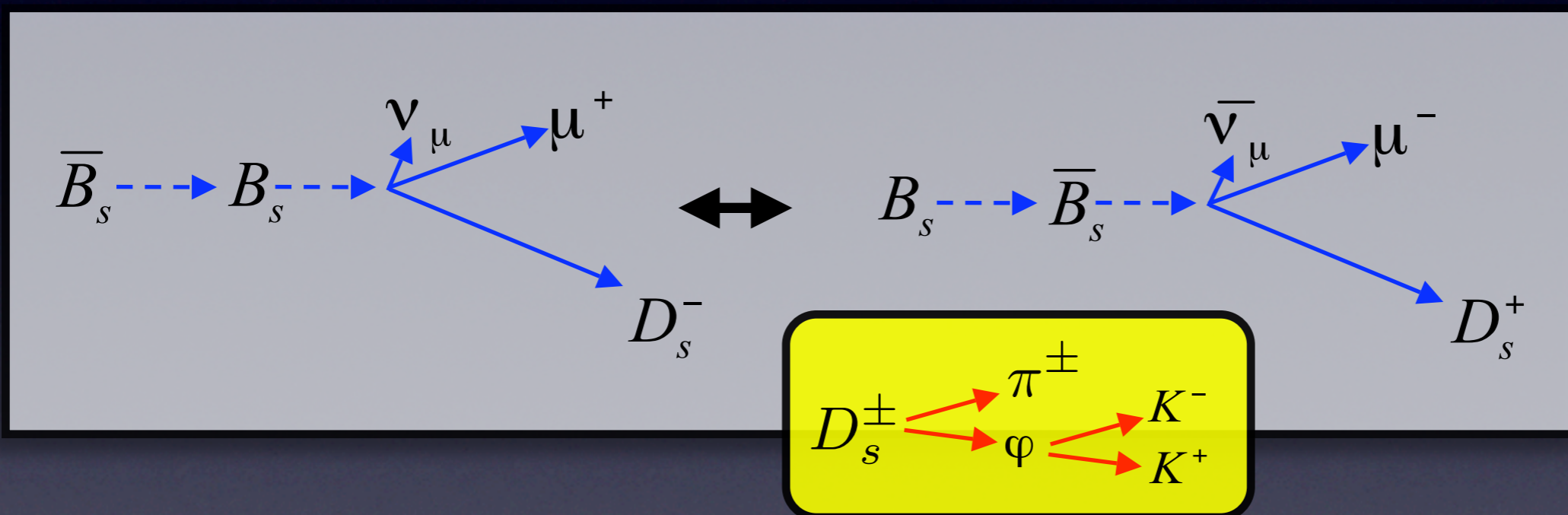
$\frac{f_s \chi_{s0}}{f_d \chi_{d0}}$ production rates, mixing probabilities



CP violation in B_s^0 mixing

2

$$B_s^0 \rightarrow \mu^+ D_s^- \nu X$$



$$A_{SL}^{\mu, \text{untagged}} = \frac{N(\mu^+ D_s^-) - N(\mu^- D_s^+)}{N(\mu^+ D_s^-) + N(\mu^- D_s^+)} = \frac{1}{2f} A_{SL}^s$$



CP violation in B_s^0 mixing

2

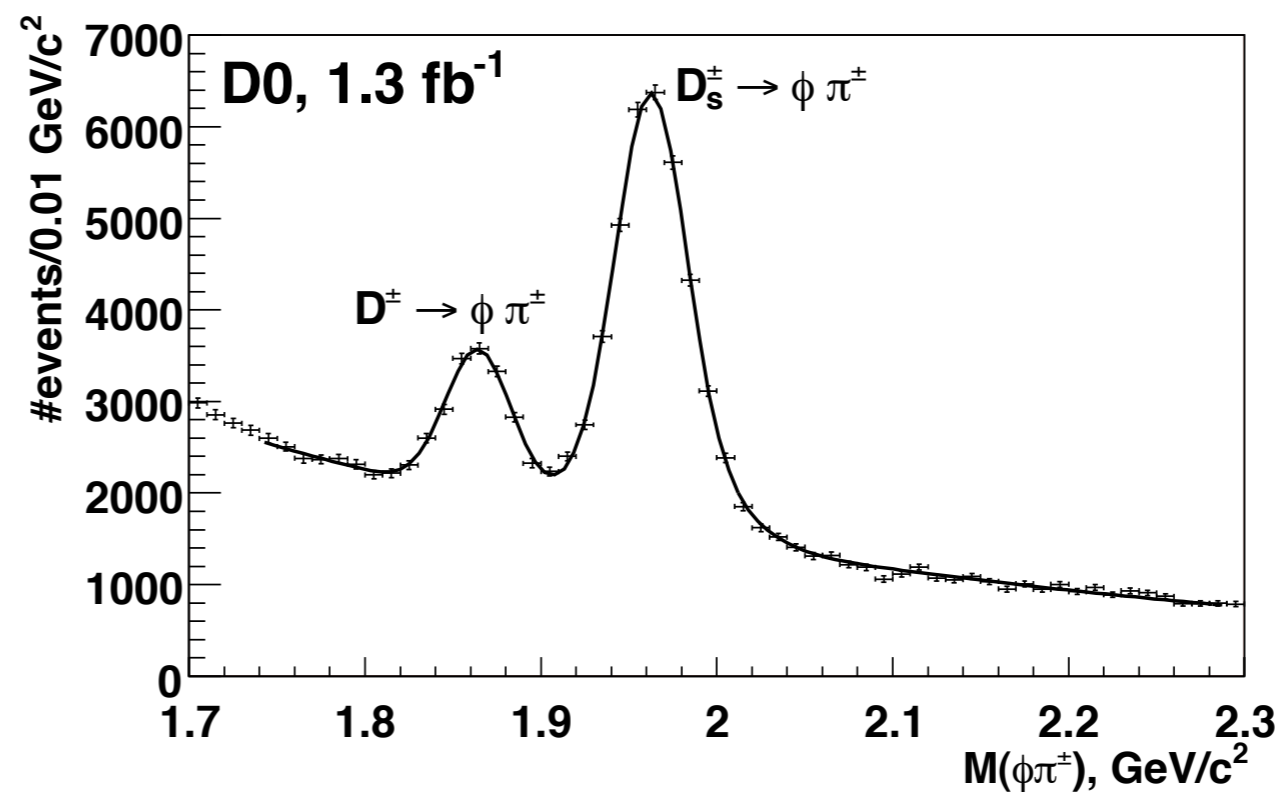
$$B_s^0 \rightarrow \mu^+ D_s^- \nu X$$

$(5.9 \pm 1.7)\% c\bar{c}(b\bar{b})$

from data

Other processes
from PYTHIA

$(83.2 \pm 3.3)\% B_s^0$



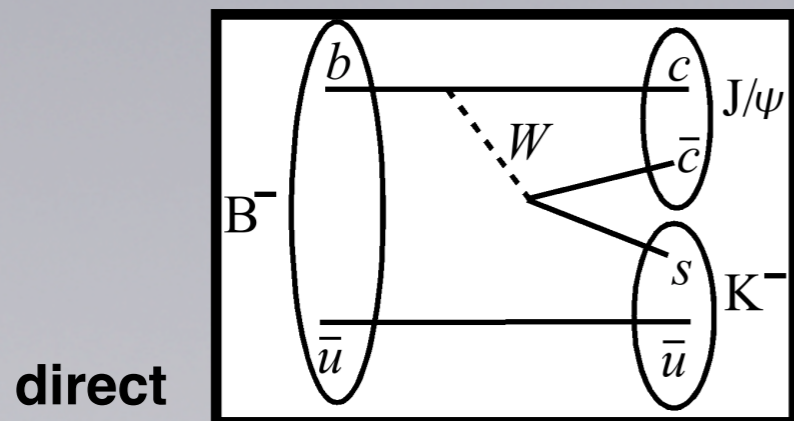
$27,300 \pm 300 D_s^\pm$ events



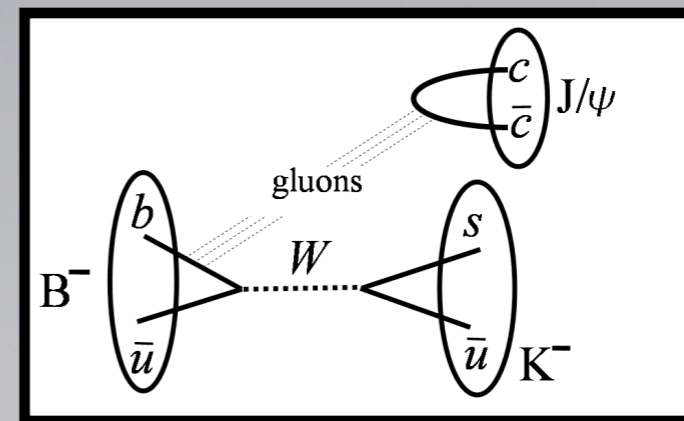
Direct CPV in $b \rightarrow c\bar{c}s$

3

$$B^+ \rightarrow J/\psi K^+$$



+
annihilation



$$A_{\text{DCPV}} = \frac{N(J/\psi K^-) - N(J/\psi K^+)}{N(J/\psi K^-) + N(J/\psi K^+)}$$

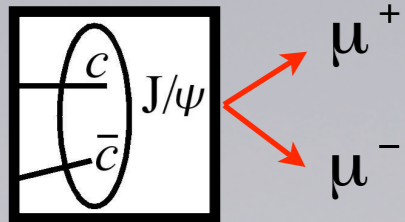
Kaon as charge tag



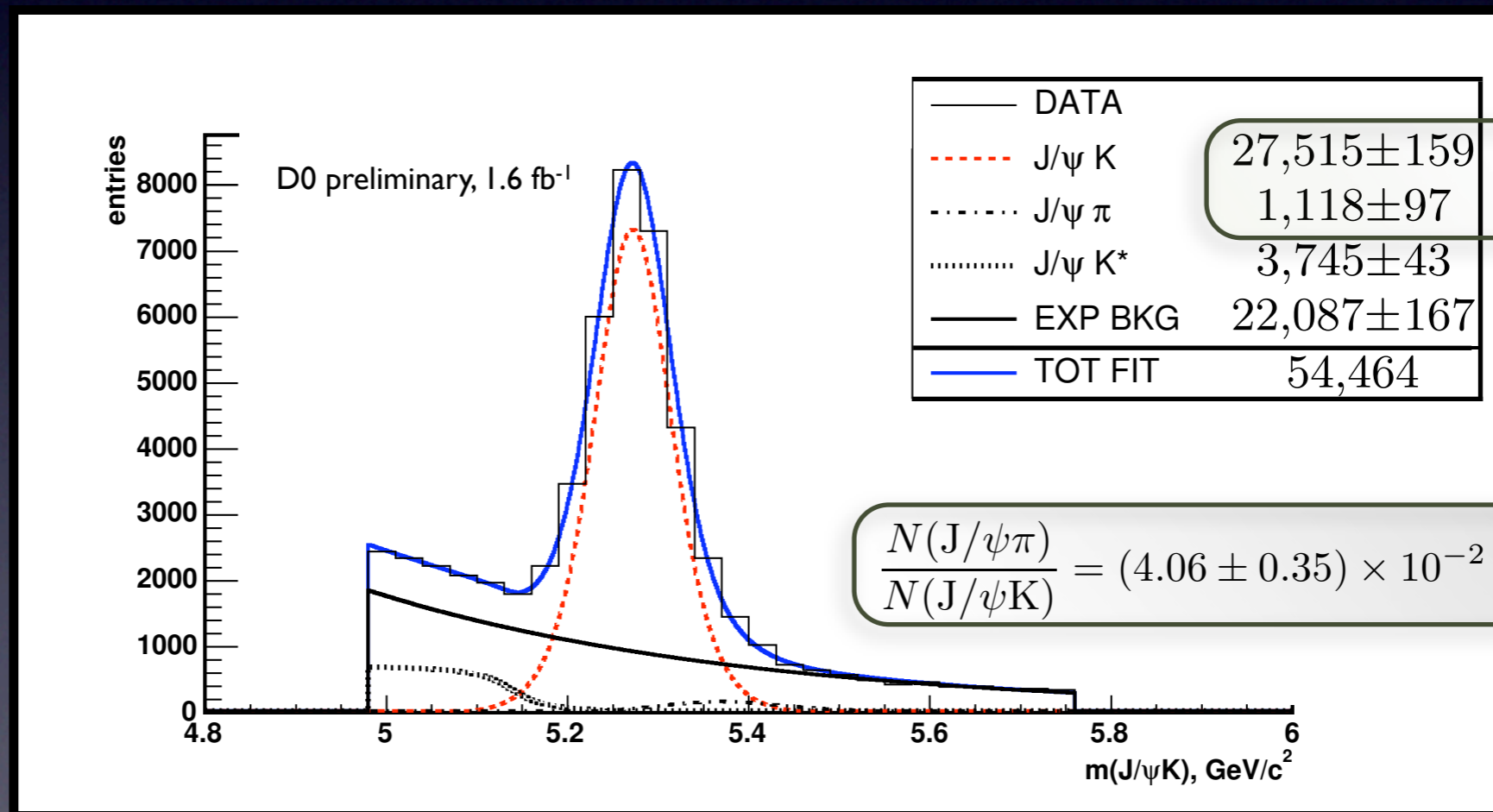
Direct CPV in $b \rightarrow c\bar{c}s$

3

$$B^+ \rightarrow J/\psi K^+$$



reconstruct in
excl. dimuon
decay



Unbinned likelihood fit



Other sources of charge asymmetry

Detector

Introduces apparent charge asymmetries



Kaons

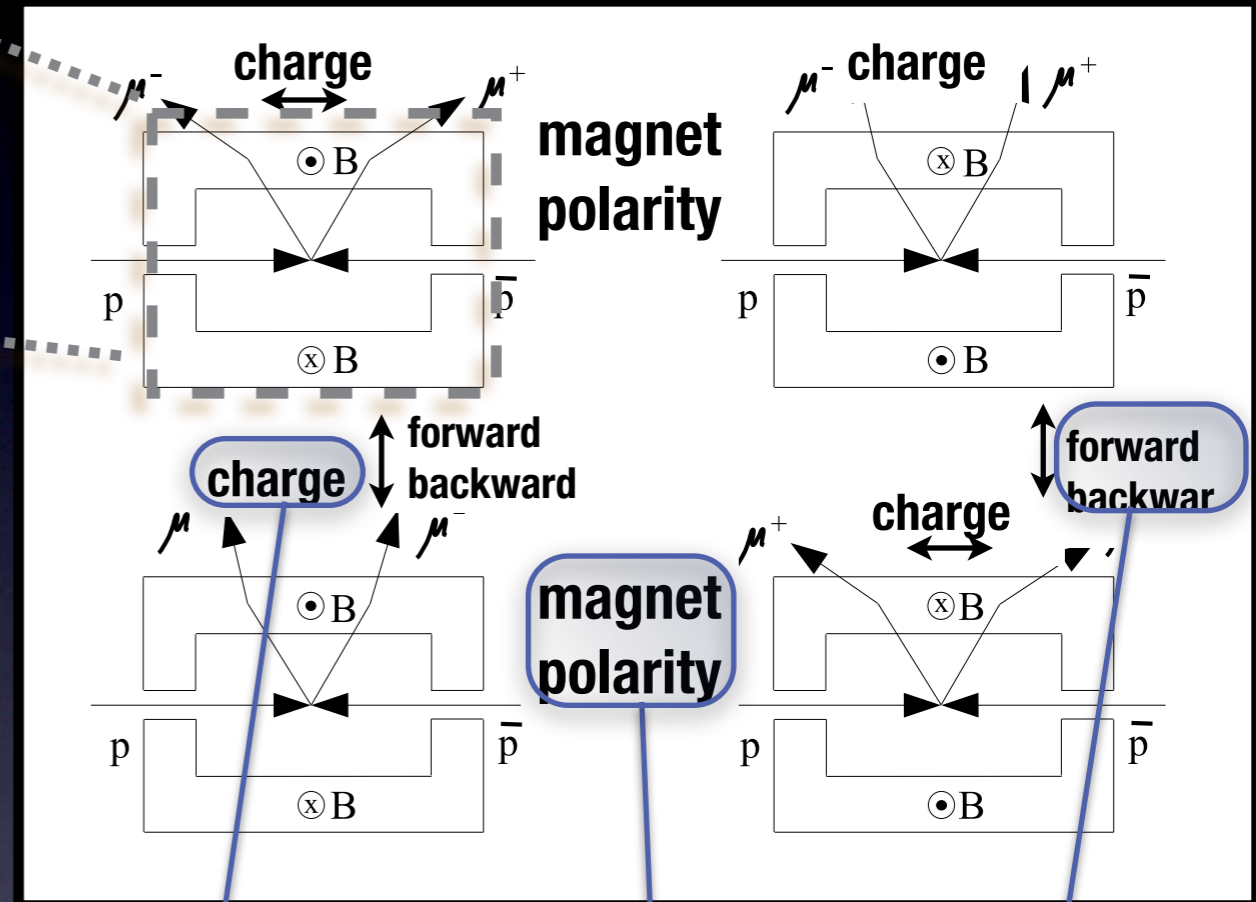
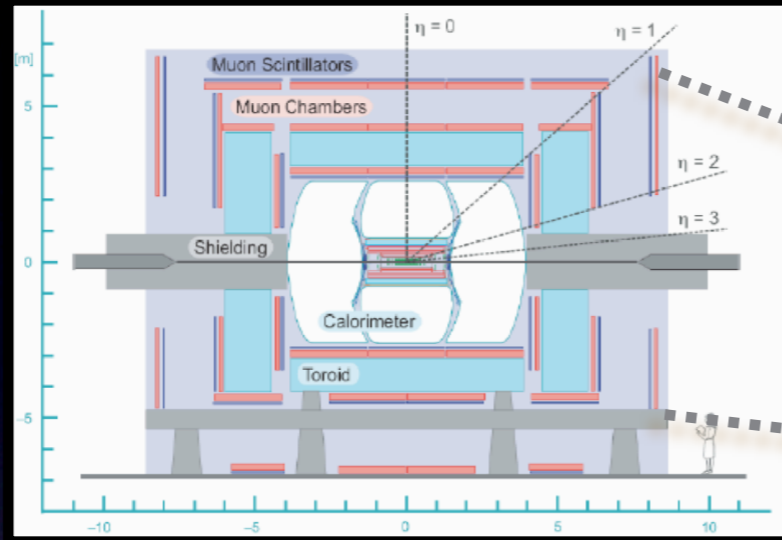
K^+ has longer inelastic interaction length than K^-





Other sources of charge asymmetry

Detector



toroid (1, 2) solenoid(3) polarity reversal

$$q(+, -) \otimes \beta(+, -1) \otimes \gamma(+, -) : 8$$

$$n_q^{\beta\gamma} = \frac{1}{4} N \epsilon^\beta (1 + qA) (1 + q\gamma A_{fb}) (1 + \gamma A_{det}) (1 + q\beta\gamma A_{ro}) (1 + q\beta A_{q\beta}) (1 + \beta\gamma A_{\beta\gamma})$$

measured asymmetry
nr of muons/kaons

detector asymmetries

Largest effect: range out

measured to be consistent with zero



Other sources of charge asymmetry

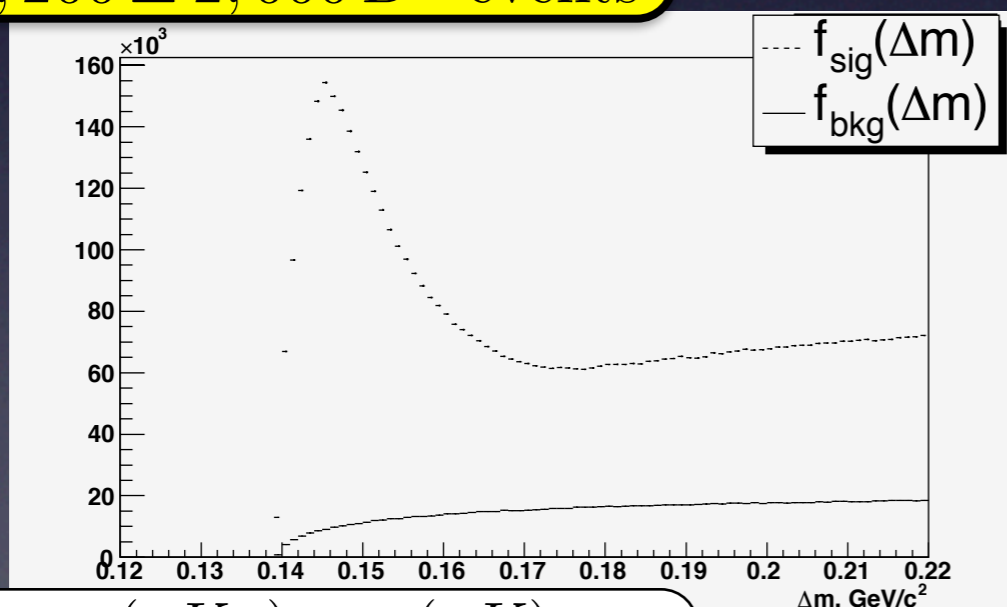
Kaons

K^+ has longer inelastic interaction length than K^- →

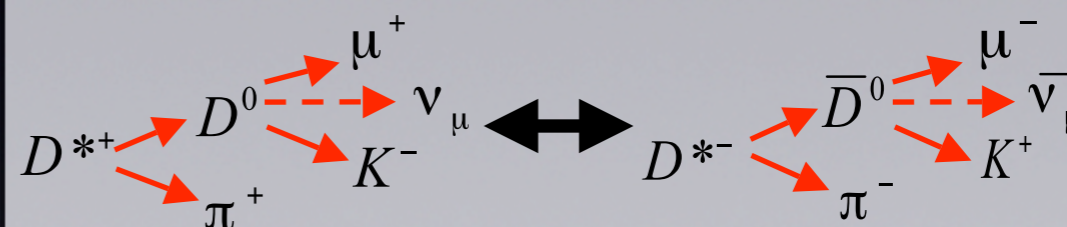
$$A_K = \frac{N(K^+) - N(K^-)}{N(K^+) + N(K^-)} > 0$$

Measured on large sample

1,670,200 ± 2,000 D^* events



$$\Delta m = m(\mu K \pi) - m(\mu K)$$



The combinatorial background is sideband-subtracted from D^* signal

$$A_K = 0.01262 \pm 0.00171(\text{stat}) \pm 0.00023(\text{syst})$$



CP violation in B_s^0 mixing

1

$$p\bar{p} \rightarrow \mu\mu X$$

$$A_{SL}^d + \frac{f_s \chi_{s0}}{f_d \chi_{d0}} A_{SL}^s = -0.0092 \pm 0.0044(\text{stat}) \pm 0.00032(\text{syst})$$

Using world average

Dominated by uncertainty on A_K

From B-factories: $A_{SL}^d = +0.0011 \pm 0.0055$

$$A_{SL}^s = -0.0147 \pm 0.00113(\text{stat} + \text{syst})$$



CP violation in B_s^0 mixing

2



$$A(\mu D_s) = +0.0102 \pm 0.00081(\text{stat})$$

Correcting for

Dominated by uncertainties from **sample composition** and mass fit

$$A_{SL}^s = 2f \times A_{SL}^{\mu, \text{untagged}} = +0.0245 \pm 0.0193(\text{stat}) \pm 0.0035(\text{syst})$$

The two measurements are nearly independent



CP violation in B_s^0 mixing

1 2

Combined constraints on ϕ_s at DØ

$$A_{SL}^s = 0.0001 \pm 0.0090(\text{stat} + \text{sys})$$

from fit to time-dependent angular distribution in $B_s^0 \rightarrow J/\psi\phi$



constrained with l.t. and semileptonic charge asymmetries

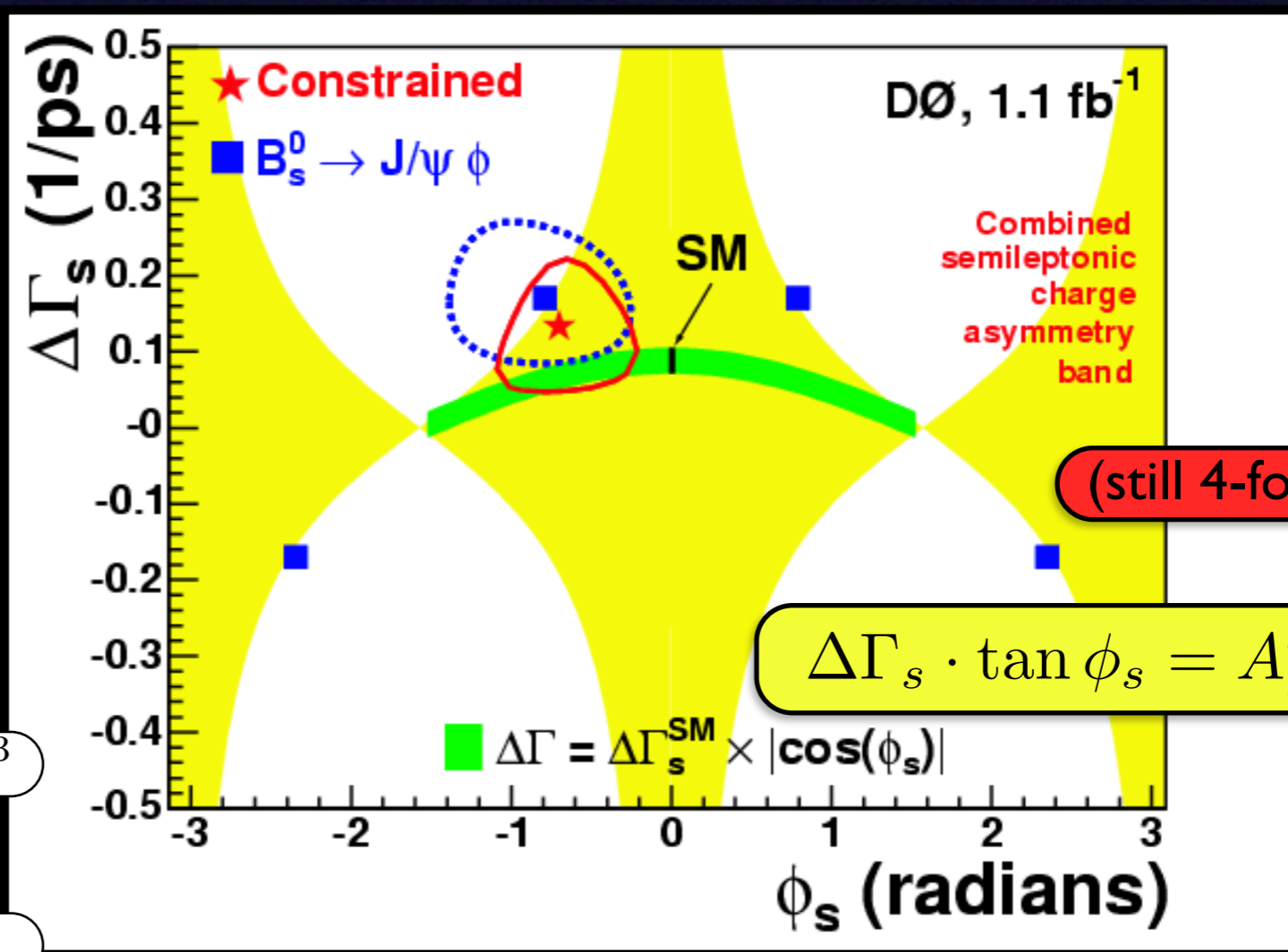


$$\phi_s = -0.70^{+0.47}_{-0.39}$$

$$\text{SM} : \phi_s = (4.2 \pm 1.4) \times 10^{-3}$$

$$\Delta\Gamma_s = 0.13 \pm 0.09 \text{ ps}^{-1}$$

$$\text{SM} : \Delta\Gamma_s = 0.088 \pm 0.017$$



$$\Delta\Gamma_s \cdot \tan \phi_s = A_{SL}^s \cdot \Delta M_s$$

CDF



Direct CPV in $b \rightarrow c\bar{c}s$

3

$$B^+ \rightarrow J/\psi K^+$$

$$A(J/\psi K) = -0.0072 \pm 0.0073(\text{stat})$$

Contains $A_K(J/\psi K) = 0.0139 \pm 0.0013(\text{stat})$

$$A_{CP} = +0.0067 \pm 0.0060(\text{stat}) \pm 0.0026(\text{syst})$$

Most precise measurement

Previous measurements
(+)0.030 ± 0.014 ± 0.010(BaBar)
-0.026 ± 0.022 ± 0.017(Belle)
0.018 ± 0.043 ± 0.004(CLEO)



Conclusions

For the first time ϕ_s is constrained through measuring A_{SL}^s

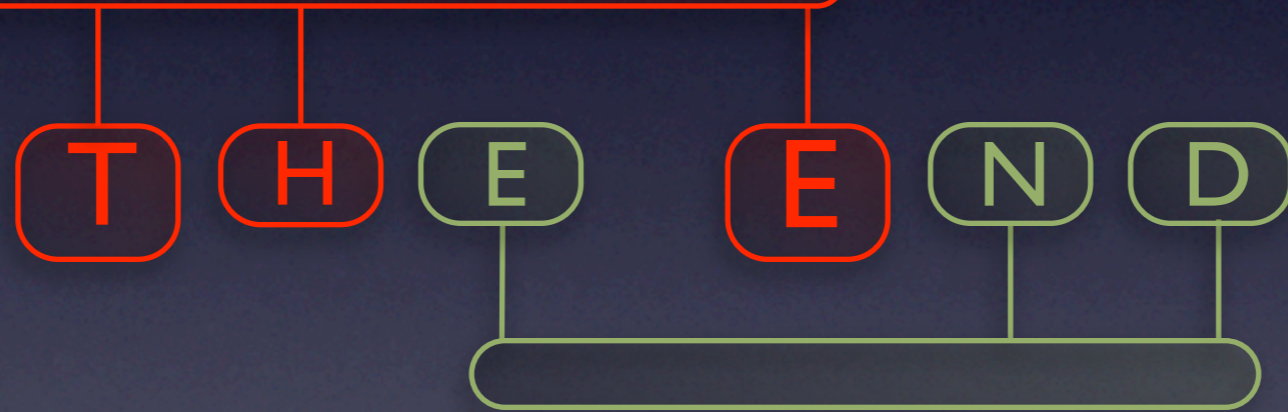
$A_{CP}(J/\psi K)$ measurement is most precise to date

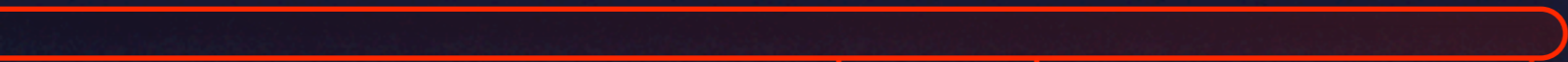
The measurements predictions

Conclusion: Best Bet for BSM Soon

CPV in $b \rightarrow s$ w/ Boxes and Penguins
 $\sin 2\Phi_{Bs};$
 $\Delta S;$ $\Delta A_{K\pi};$
Hints for BSM
 $A_{CP}(B^+ \rightarrow J/\psi K^+)$

← Hou





B

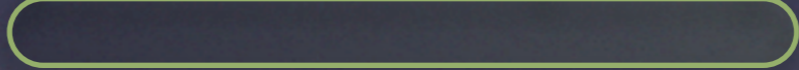
ack

up

S

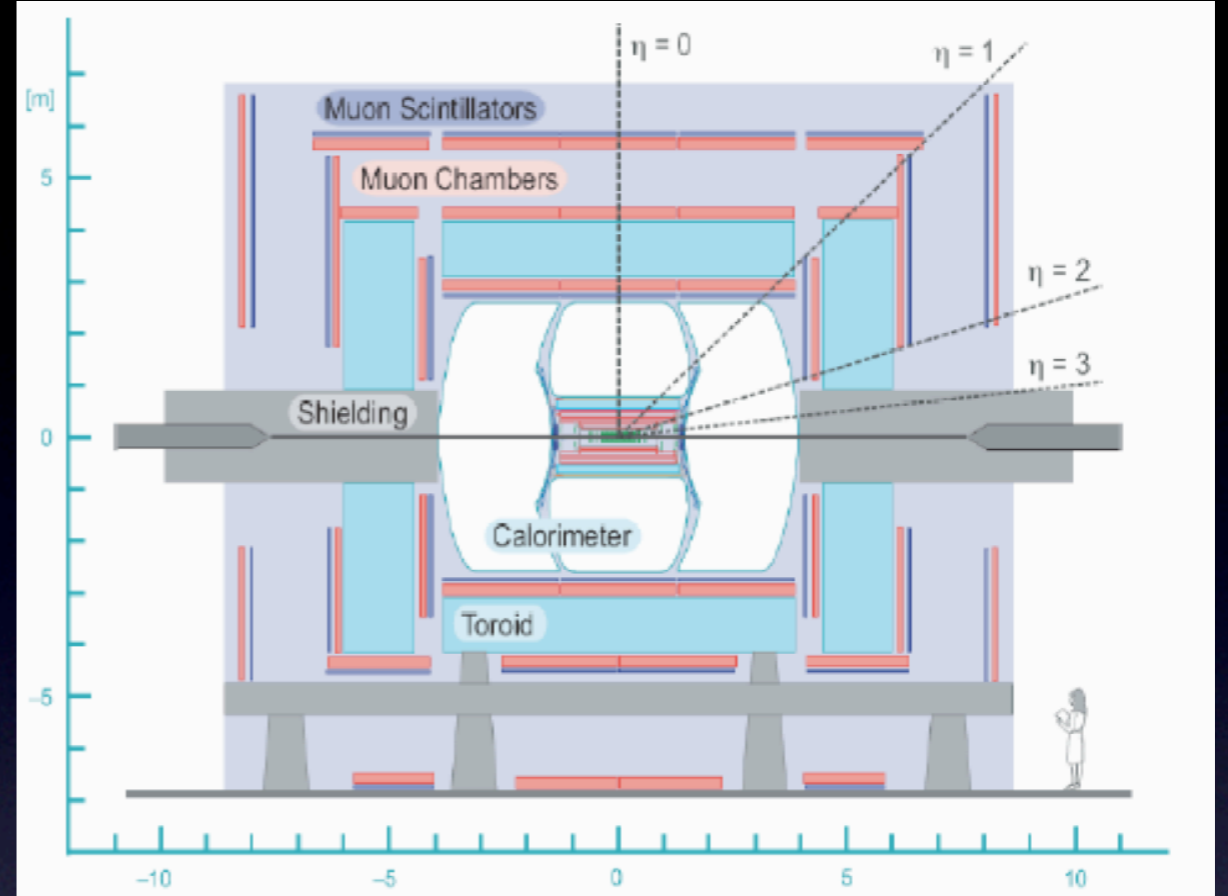
lid

es



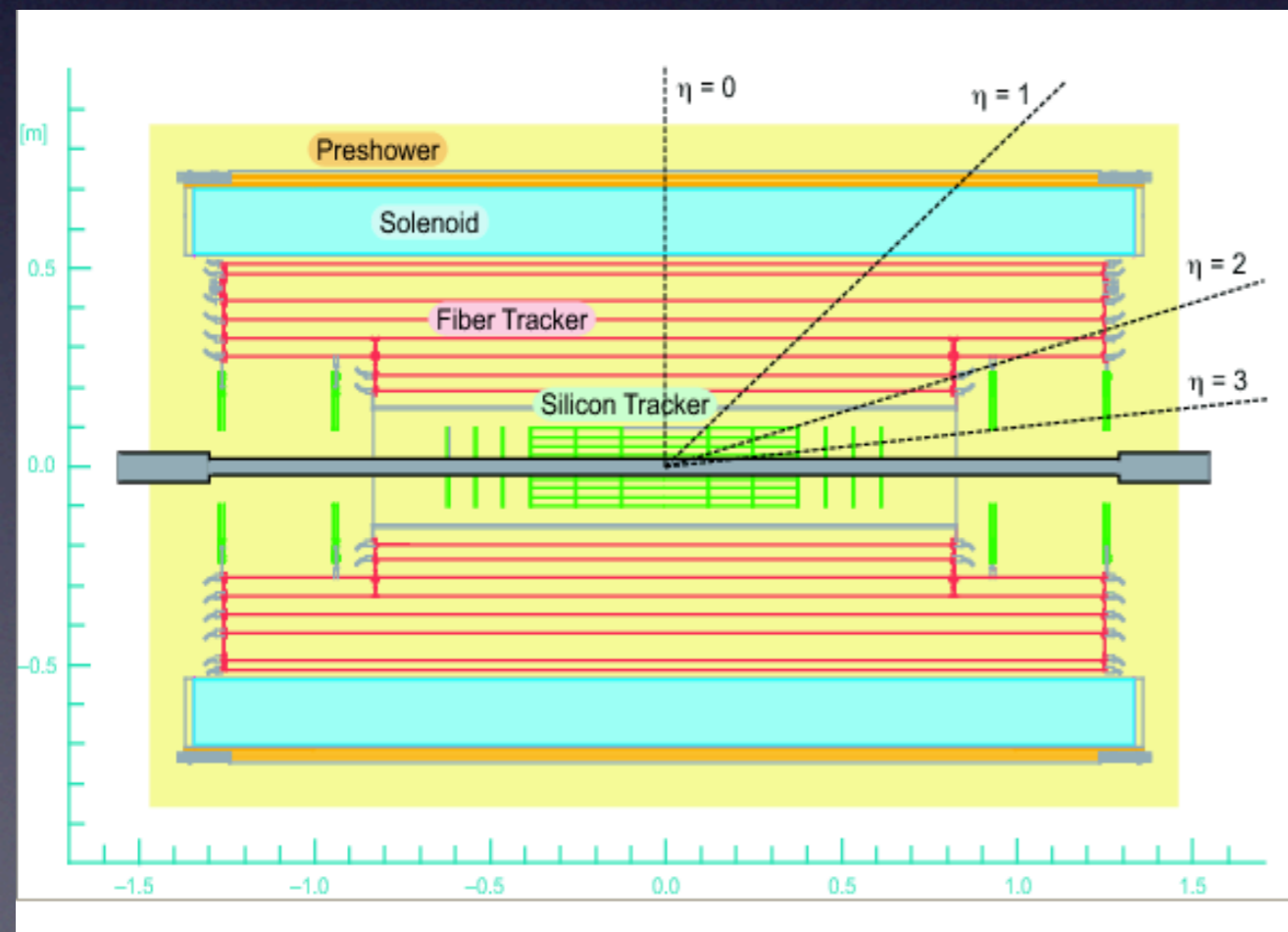
Muon system:

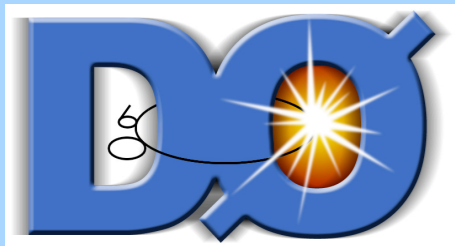
- 1.8 T toroid for local muon tracking, $|\eta| < 2$
- cosmic ray rejection
- low punch-through



Central tracking:

- Silicon (innermost) + fiber tracker in 2T solenoid, $|\eta| < 3$
- High efficiency ($\sim 95\%$ in the central region) and resolution: $\sigma(p_T) / p_T^2 \approx 0.002$





Muon selection

- Hits in all 3 layers of muon chambers;
- Associated central track;
- Good quality of track;
- $P_T > 4.2$ GeV or $|P_Z| > 6.4$ GeV;
- $3.0 < P_T < 15$ GeV;
- Impact parameter to primary interaction: < 0.3 cm;
- at least one scintillator hit with $|\Delta t| < 5$ ns;

Cuts on di-muons

- $\Delta P > 0.2$ GeV
- $10^\circ < \text{Opening angle} < 170^\circ$
- $\Delta z < 2$ cm
- Distance between hits in muon chamber $\Delta r > 5$ cm;



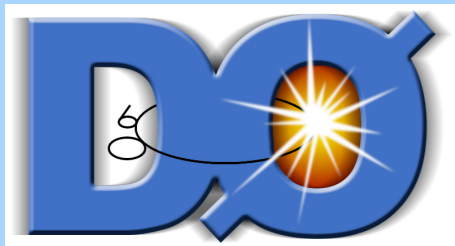
Systematics in $A_{CP}(B^+ \rightarrow J/\psi K^+)$

- from $J/\psi K^+ X$: repeat the analysis with fraction of $J/\psi K^+ X$ fixed to 0
- from $A(J/\psi \pi)$, $A(J/\psi K^+ X)$: repeat the analysis with $A(J/\psi \pi)$, $A(J/\psi K^+ X)$ artificially suppressed by fixing the ratios
 $R = (J/\psi \pi \text{ fraction}) / (\text{BKG fraction}), (J/\psi K^+ X \text{ fraction}) / (\text{BKG fraction})$
 in every subsample to the value determined from “all” fit.

Fixing	$A(J/\psi K)$	$A(J/\psi \pi)$	$A(J/\psi K^*)$	$A(\text{BKG})$
$J/\psi K^*$ fraction $\rightarrow 0$	-0.0079	-0.2098	-	0.0043
$R_{J/\psi \pi} \rightarrow$ “all” value	-0.0078	0.0488	-0.0581	0.0198
$R_{J/\psi K^*} \rightarrow$ “all” value	-0.0077	-0.1847	0.0035	0.0041
$R_{J/\psi \pi}, R_{J/\psi K^*} \rightarrow$ “all” value	-0.0098	-0.0086	0.0077	0.0076

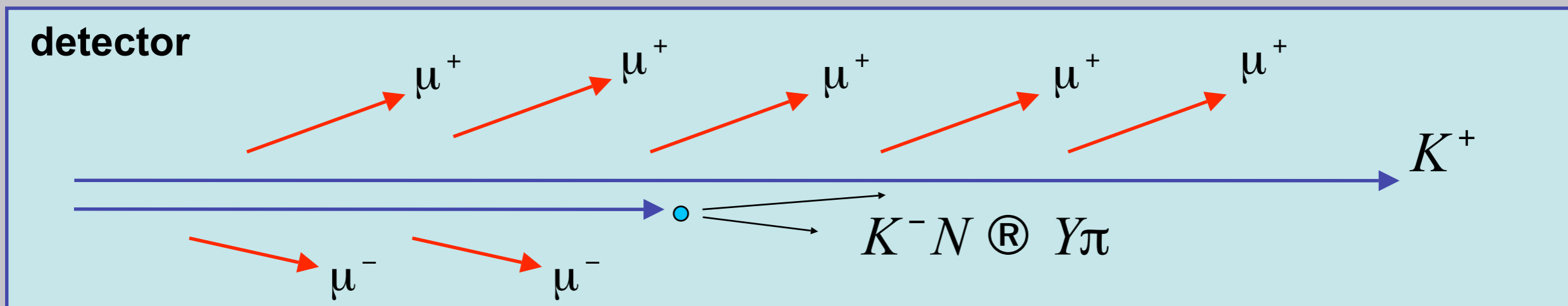
this deviates maximally from the nominal
 $A = -0.0072$

suppressed



Kaon asymmetry

Technical complication: $\mu\mu$ and $J/\psi K$ samples are affected by:

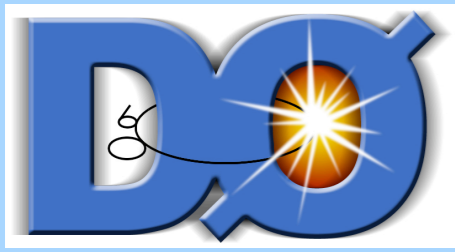


For $p_K=10$ GeV: $\sigma(K-d)=38\text{mb}$, $\sigma(K+d)=28$ mb

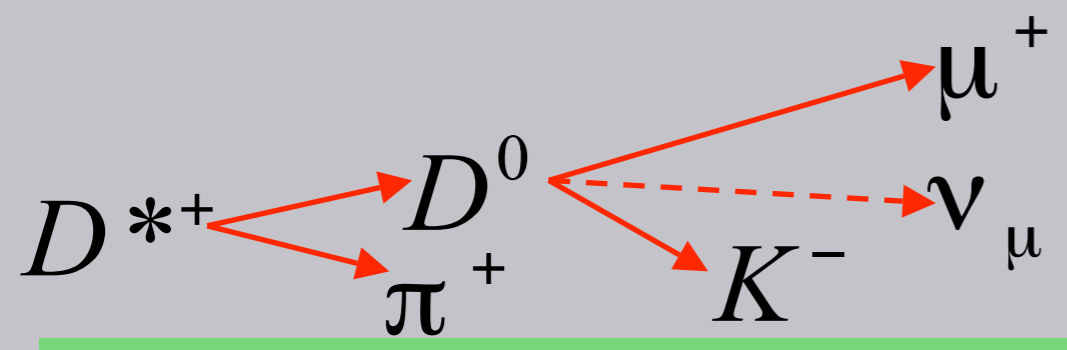
- for $\mu\mu$: Estimated from distance to calorimeter and K^-d , K^+d cross-sections
- for $J/\psi K$: Measured directly by comparing:



no physics asymmetry, $A_K = -A_\mu$



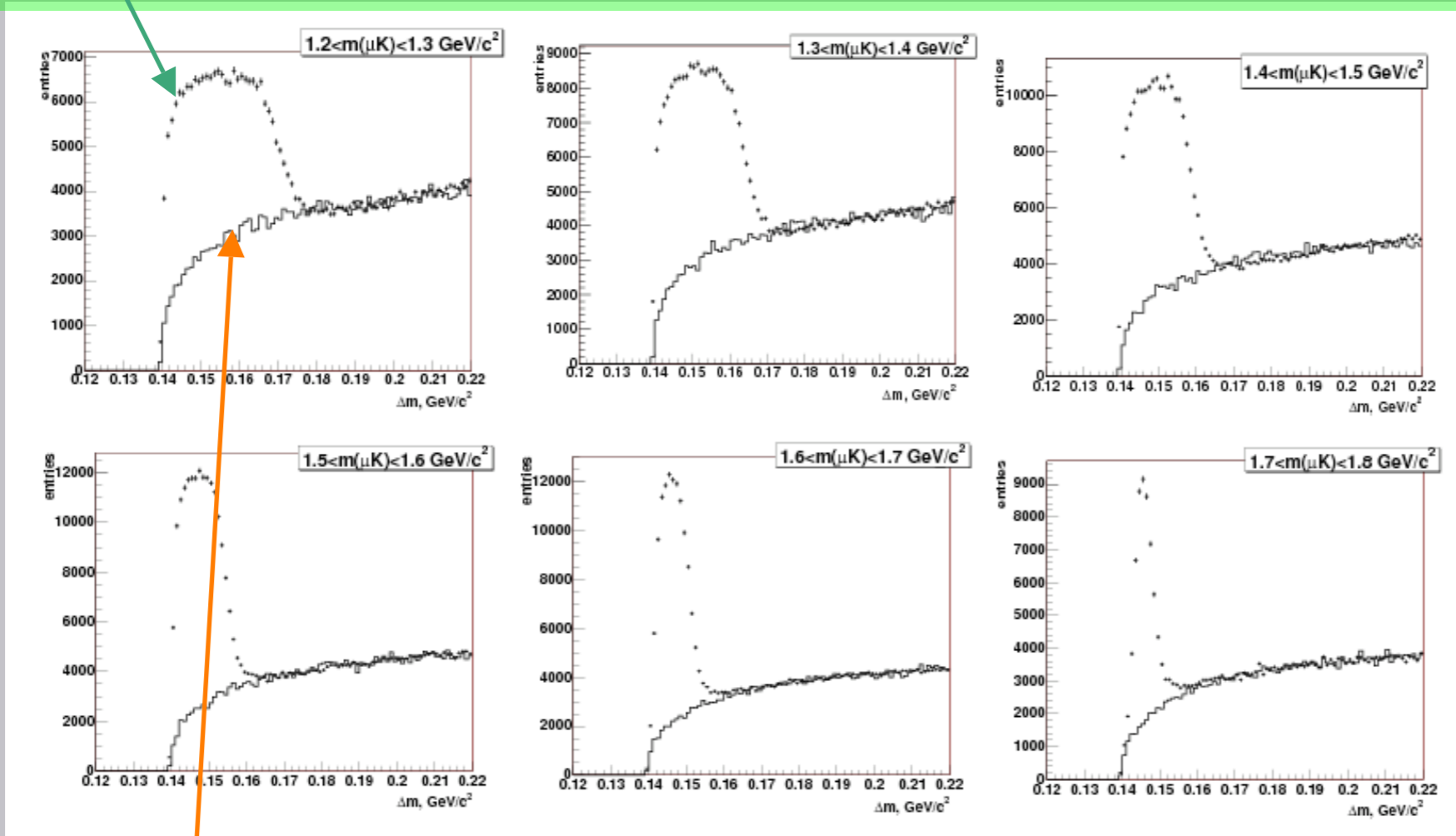
Details: Kaon asymmetry



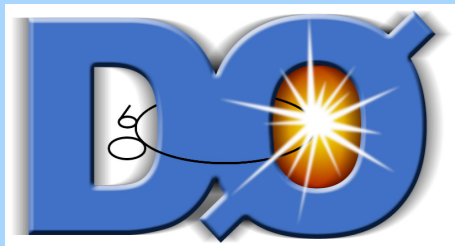
$$\Delta m = m(\mu K \pi) - m(\mu K)$$

in different $m(\mu K)$ bins:

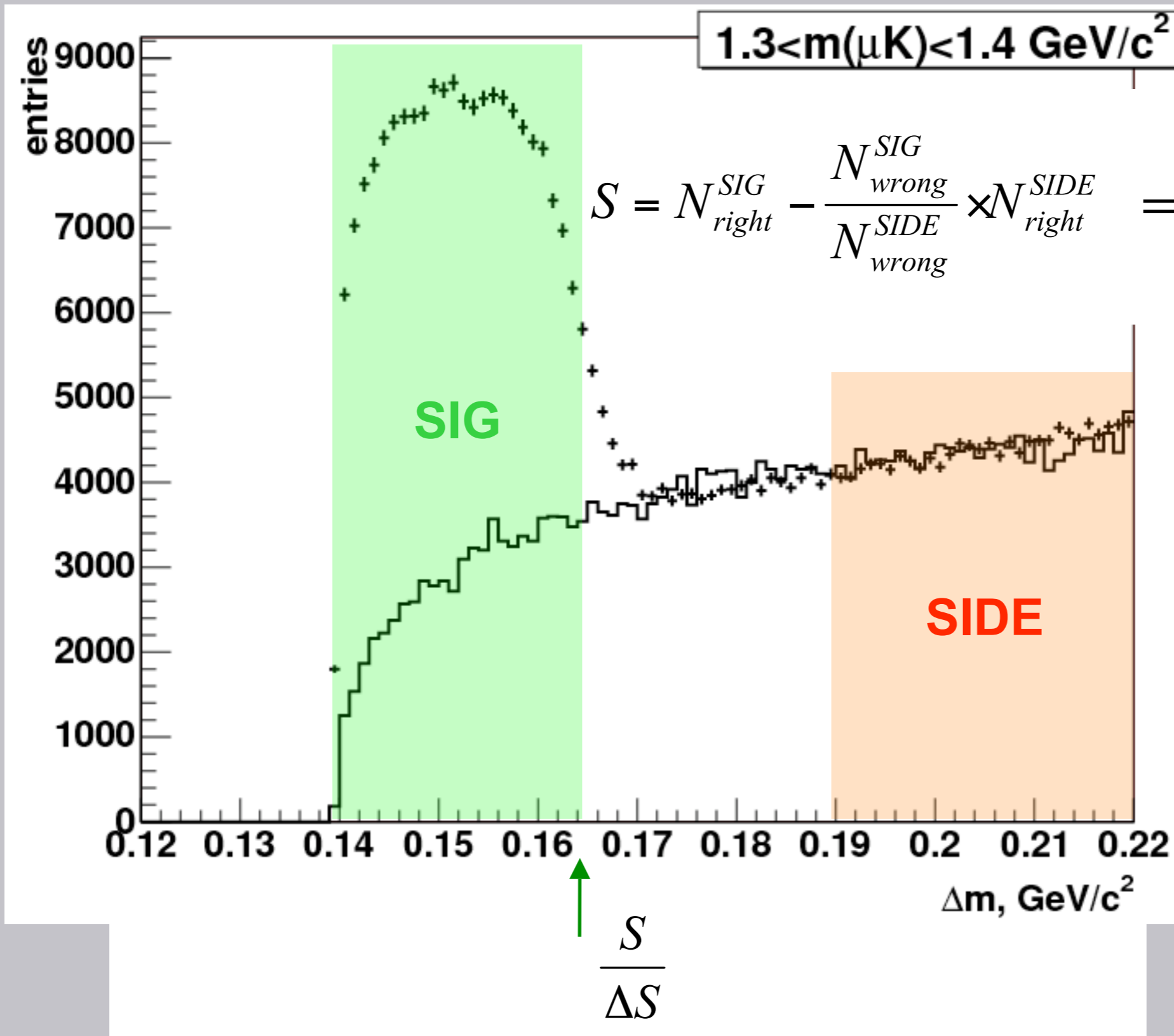
$\mu(+)\text{K}(-)\pi(+)$ or $\mu(-)\text{K}(+)\pi(-)$ - right charge corr., D^* peak



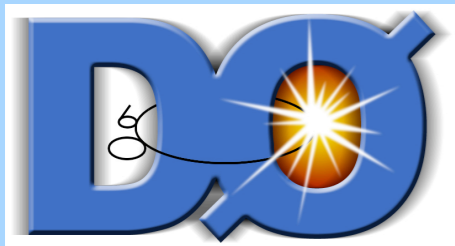
$\mu(+)\text{K}(+)\pi(+)$ or $\mu(-)\text{K}(-)\pi(-)$ - wrong charge corr., background



Details: Kaon asymmetry



$$S = N_{right}^{SIG} - \frac{N_{wrong}^{SIG}}{N_{wrong}^{SIDE}} \times N_{right}^{SIDE} \Rightarrow n_q^{\beta\gamma} = \sum_{m(\mu K)} S$$

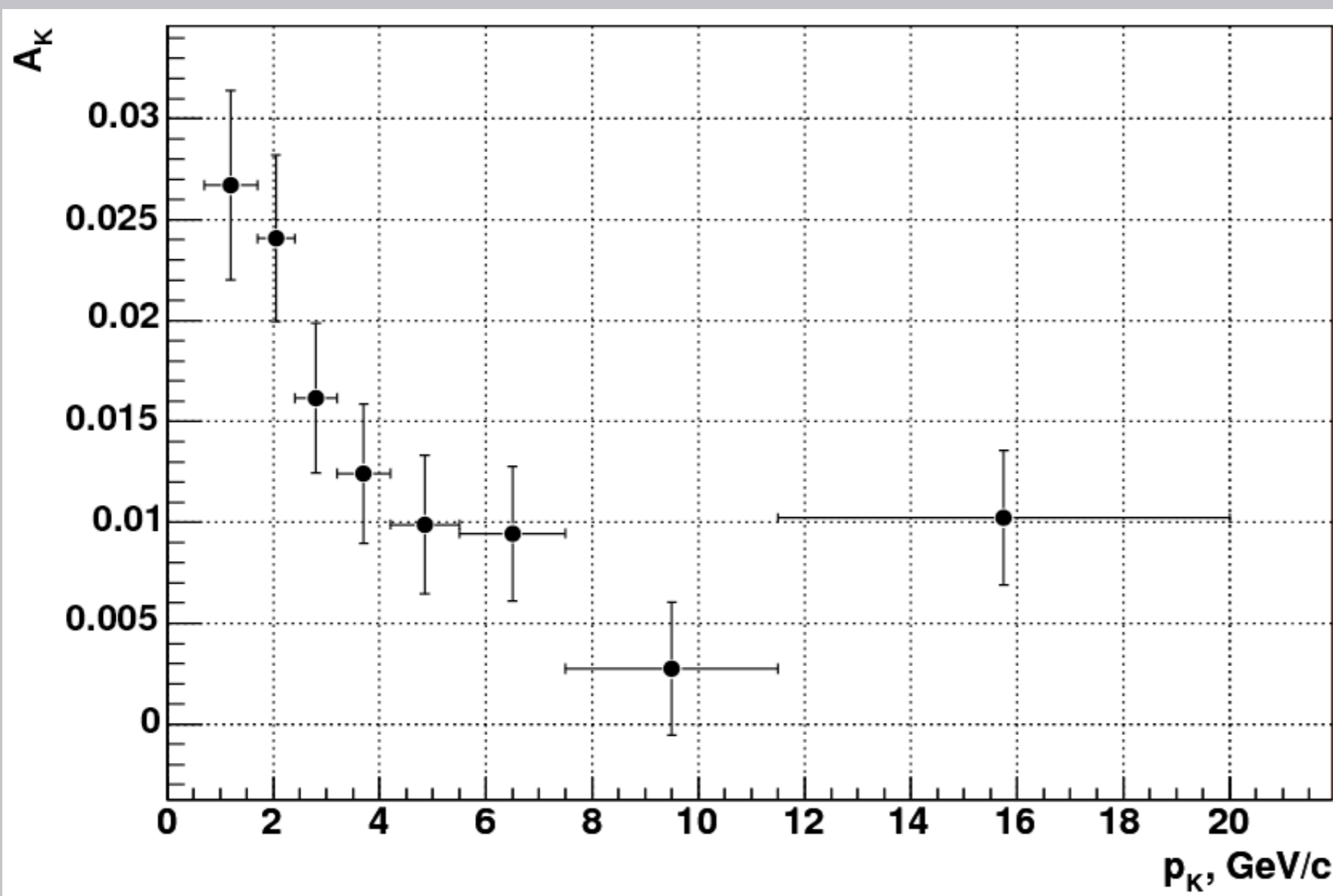


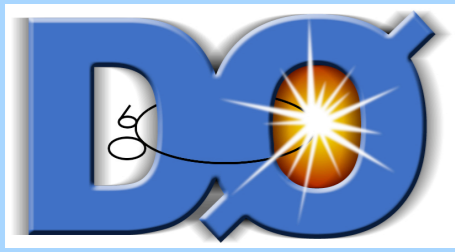
Details: Kaon asymmetry

To get Kaon asymmetry in $J/\psi K$ sample:

- $A_K(p_K)$ was measured (**detector characteristics**)
- ... and convoluted with pdf of p_K in $J/\psi K$ sample to give

$$A_K = 0.0139 \pm 0.0013(stat) \pm 0.0004(syst) \leftarrow \text{unknown reco efficiency of some } D^* \text{ decay modes}$$





Polarity reversal: reducing detector systematics

In any case ($A_{SL}^{\mu\mu}$, $A_{SL}^{\mu,unt}$, A_{DCPV} , A_K) we want: $A = \frac{n_+ - n_-}{n_+ + n_-} \Rightarrow n_q = \frac{1}{2} N(1 + qA)$

$$eff^+ \neq eff^- \quad \mu^- \uparrow$$

But:

Detector introduces apparent charge asymmetries. Example (for muons): range out in the toroid:

$$n_q = \frac{1}{2} N[1 + q(A + A_{ro})]$$

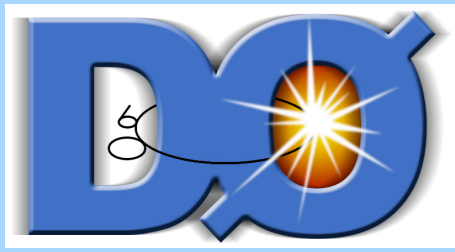
apparent A

$$n_q = \frac{1}{2} N[1 + q(A - A_{ro})]$$

$$n_q^\beta = \frac{1}{2} N(1 + qA + q\beta A_{ro}) \text{ - linear}$$

$$n_q^\beta = \frac{1}{2} N(1 + qA)(1 + q\beta A_{ro}) \text{ - includes higher order effects}$$

Polarity reversal significantly reduces systematics from detector asymmetries



Detector effects

To account for detector-induced asymmetries **to all orders** – generalize n_{\pm} to **detector model**

$$n_q^{\beta\gamma} = \frac{1}{4} N \varepsilon^{\beta} (1 + qA)(1 + q\gamma A_{fb})(1 + \gamma A_{NS})(1 + q\beta\gamma A_{ro})(1 + \beta\gamma A_{\beta\gamma})(1 + q\beta A_{q\beta})$$

If N - total number of events in the sample, and
 ε^{β} - fraction of events with toroid/solenoid polarity β

then #events with specific:

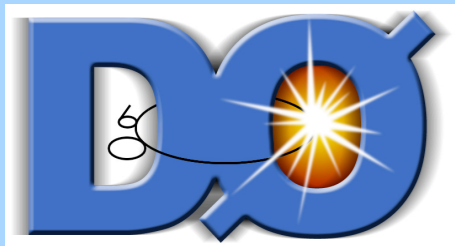
- toroid/solenoid polarity β
- sign of particle pseudorapidity γ
- particle charge q

depends on asymmetries:

- **charge - the one we are after**
- forward-backward
- North-South
- range out
- the remaining two complete the system

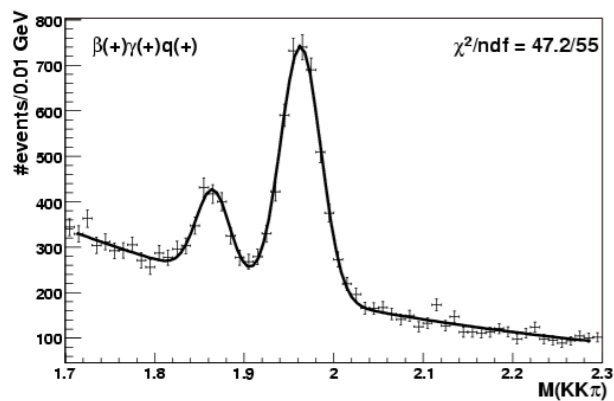
To consistently account for correlations and errors:

- Divide sample into 8 subsamples according to the signs of β, γ, q
- In each subsample extract $n_q^{\beta\gamma}$ by whatever method
- Solve 8 simultaneous equations for N, ε^{β} , and asymmetries

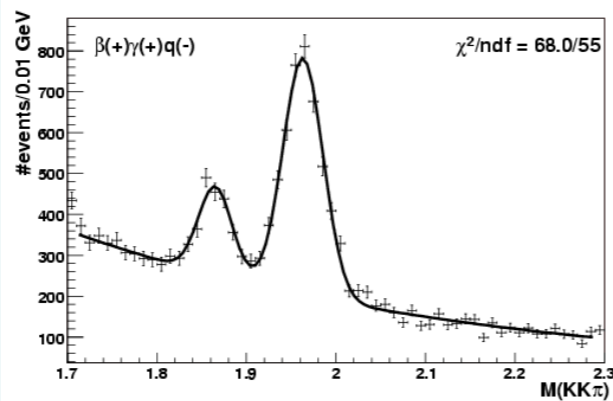


$A_{SL}^{s,unt}$: 8 subsamples

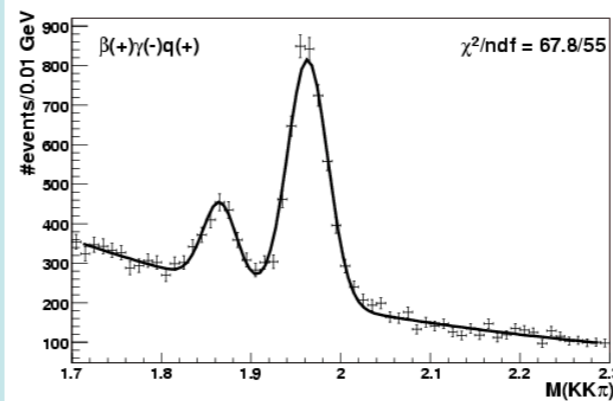
$n_q^{\beta\gamma}$



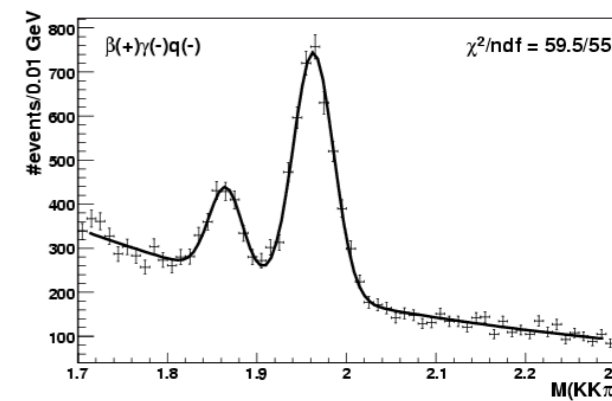
$3,216 \pm 76$



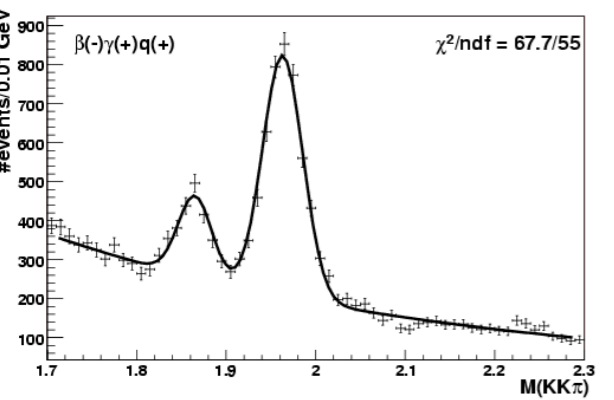
$3,391 \pm 78$



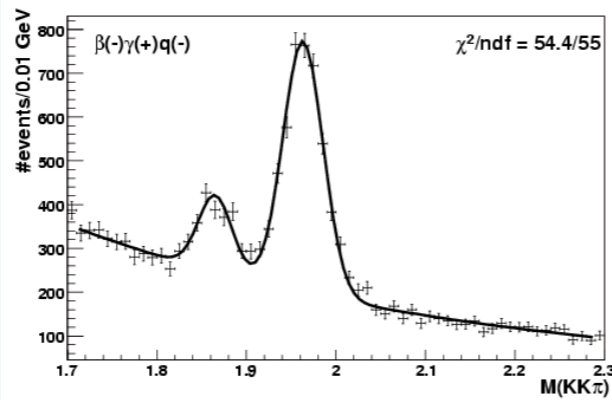
$3,586 \pm 79$



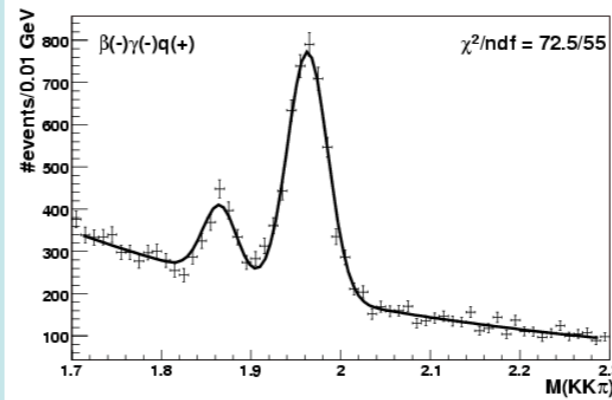
$3,225 \pm 76$



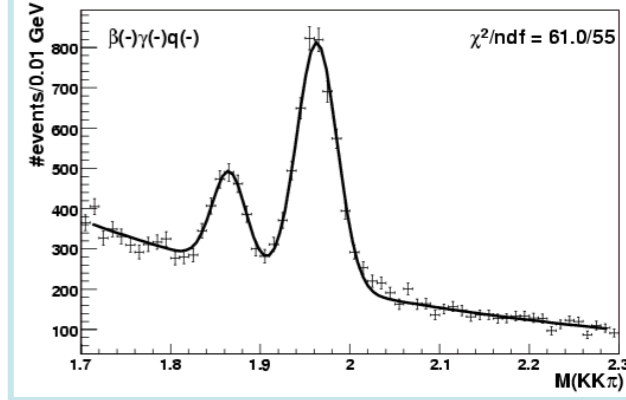
$3,616 \pm 80$



$3,353 \pm 77$



$3,370 \pm 77$



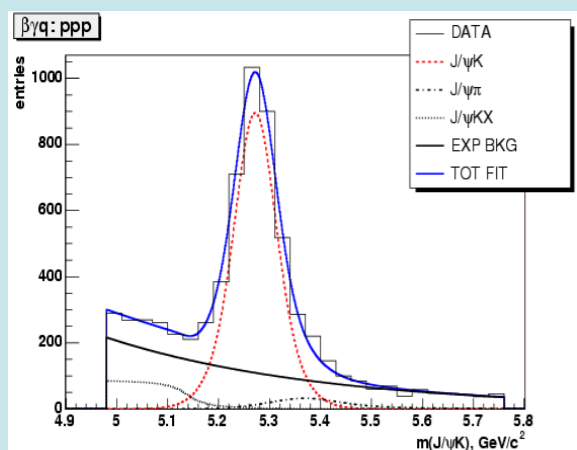
$3,532 \pm 79$



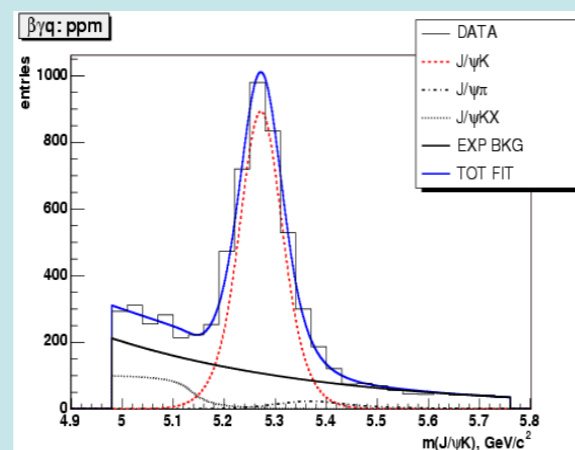
$A_{CP}(B^+ \rightarrow J/\psi K^+) : 8 \text{ subsamples}$

$n_q^{\beta\gamma}$

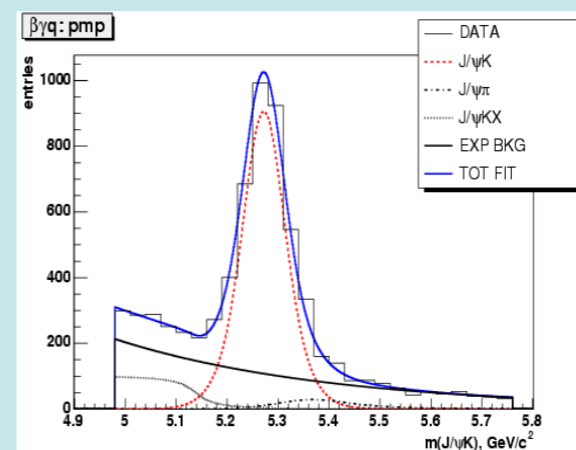
D0 Preliminary, 1.6 fb^{-1}



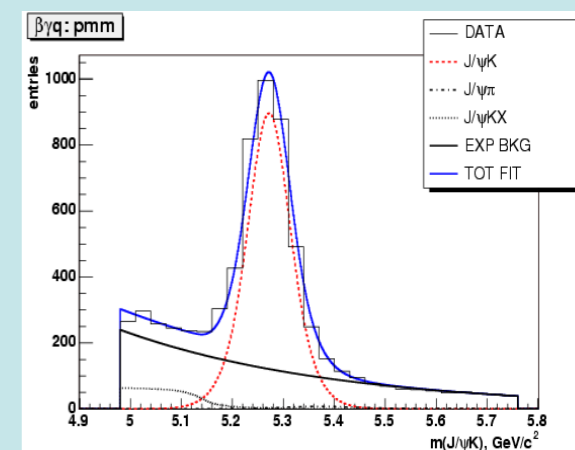
$3,376 \pm 57$



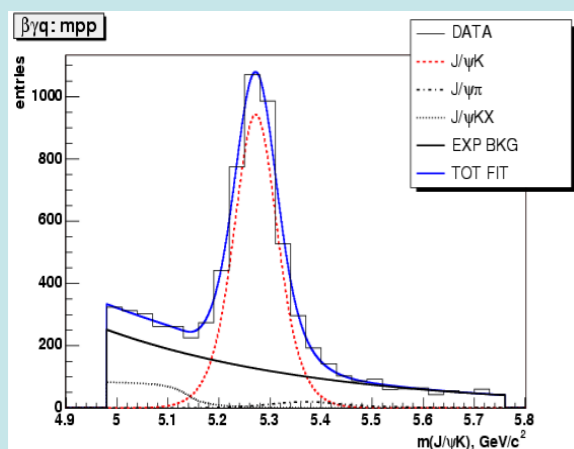
$3,343 \pm 57$



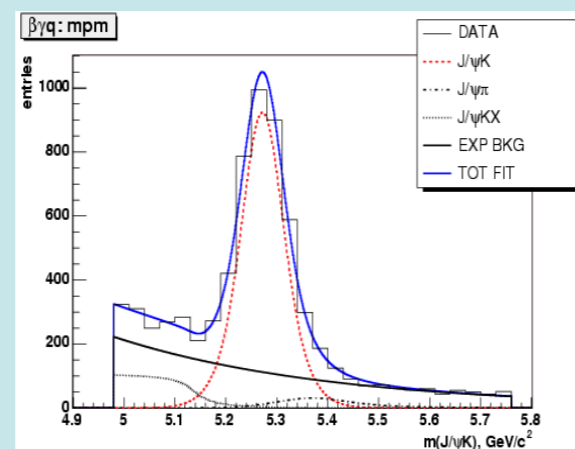
$3,399 \pm 57$



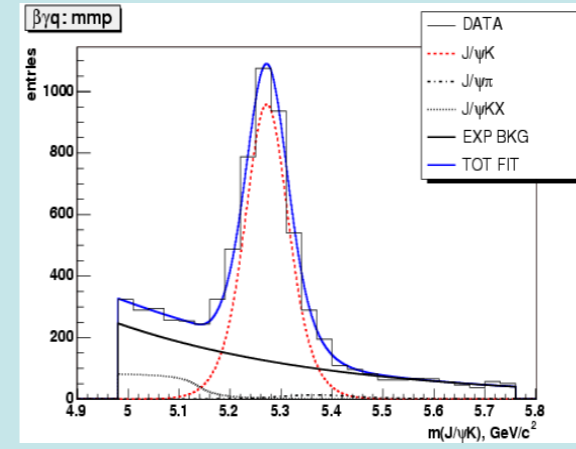
$3,369 \pm 57$



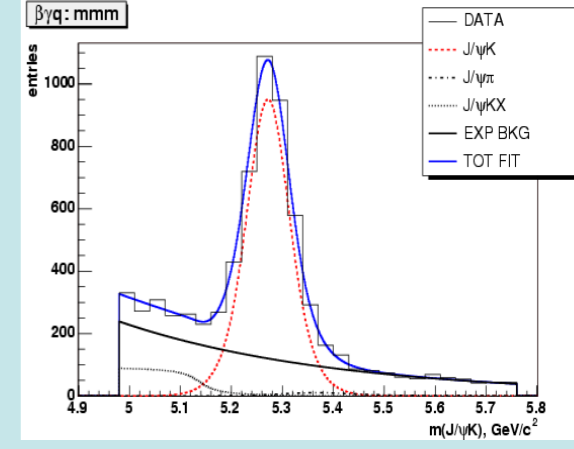
$3,546 \pm 59$



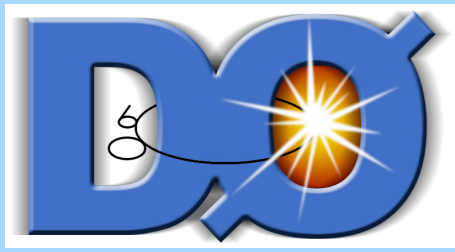
$3,467 \pm 58$



$3,626 \pm 59$



$3,565 \pm 59$



Some math

If n_1 and n_2 independent:

$$A = \frac{n_1 - n_2}{n_1 + n_2} = \frac{\Delta n}{N}, \Delta n_1^2 + \Delta n_2^2 = \Delta N^2$$

$$\left(\frac{\Delta A}{A} \right)^2 = \frac{\Delta N^2}{(\Delta n)^2} + \frac{\Delta N^2}{N^2} = \frac{\Delta N^2 (N^2 + \Delta n^2)}{\Delta n^2 N^2} \approx \frac{\Delta N^2}{\Delta n^2} \quad \text{we neglect } \Delta n^2 \ll N^2$$

Therefore for any asymmetry: $\Delta A = \frac{\Delta N}{N}$

If A_K : $n_q \propto (1 + qA_{CP})(1 + qA_K)$
 $\propto (1 + qA_{CP} + qA_K) \propto (1 + q(A_{CP} + A_K))$

therefore $A = A_{CP} + A_K$