

Non-standard neutrino interactions in reactor and superbeam experiments

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- Forthcoming news in lepton flavour physics — θ_{13}
which will be brought by *reactor* and *accelerator* experiments

Preface

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It is a good time to prepare for facing the future measurement.

- If they will give rise to a tension, what does it mean?
- If they will be consistent with each other, is the standard oscillation interpretation rigid?

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In this talk

We take a model independent (effective interaction) approach to interpret the future results — Non-standard interaction (NSI)

1 Introduction

- NSI in source and detection
- NSI in propagation

2 Numerical study

- Mismatch and Offset: two examples
- Systematic study: which NSI does what
- Discovery reach

3 Summary

Outline

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Introduction — NSIs

- NSI — Flavour violating interactions with neutrinos parametrized as four-Fermi interactions:
- They can affect the neutrino source, propagation, and detection

Standard oscillation

$$P_{\nu_\alpha \rightarrow \nu_\beta} = \left| \langle \nu_\beta | e^{-iHL} | \nu_\alpha \rangle \right|^2$$

Introduction — NSIs

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With NSIs

$$P_{\nu_\alpha \rightarrow \nu_\beta} = \left| \langle \nu_\beta^d | e^{-i(H+V_{\text{NSI}})L} | \nu_\alpha^s \rangle \right|^2$$

- **CC type NSI** — flavour mixture states at source and detector

Grossmann PLB**359** (1995) 141.

$$|\nu_\alpha^s\rangle = |\nu_\alpha\rangle + \sum_{\gamma=e,\mu,\tau} \epsilon_{\alpha\gamma}^s |\nu_\gamma\rangle, \quad \text{e.g., } \pi^+ \xrightarrow{\epsilon_{\mu e}^s} \mu^+ \nu_e$$

$$\langle \nu_\alpha^d | = \langle \nu_\alpha | + \sum_{\gamma=e,\mu,\tau} \epsilon_{\gamma\alpha}^d \langle \nu_\gamma |, \quad \text{e.g., } \nu_\tau N \xrightarrow{\epsilon_{\tau e}^d} e^- X$$

- **NC type NSI** — extra matter effect in propagation

Wolfenstein PRD**17** (1978) 2369. Valle PLB**199** (1987) 432. Guzzo Masiero Petcov PLB**260** (1991) 154.
Roulet PRD**44** (1991) R935. etc.

$$(V_{\text{NSI}})_{\beta\alpha} = \sqrt{2} G_F N_e \epsilon_{\beta\alpha}^m$$

NSI associated with electron, $\epsilon_{e\alpha}^s$ and $\epsilon_{\alpha e}^d$

- $\epsilon_{e\alpha}^s$ and $\epsilon_{\alpha e}^d$ affect
 - Reactor — source and detection,
 - Accelerator — ν_e detection

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- The source and detection states are defined as

$$|\bar{\nu}_e\rangle = |\bar{\nu}_e\rangle + \epsilon_{e\alpha}^{s*} |\bar{\nu}_\alpha\rangle \qquad \langle \bar{\nu}_e | = \langle \bar{\nu}_e | + \epsilon_{\alpha e}^{d*} \langle \bar{\nu}_\alpha |$$

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- We introduce only NSIs with the $(V - A)(V - A)$ structure

$$\mathcal{L}_{\text{NSI}} = 2\sqrt{2}G_F \tilde{\epsilon}_{e\alpha} (\bar{\nu}_\alpha \gamma^\rho P_L e) (\bar{d} \gamma_\rho P_L u) + \text{H.c.},$$

This NSI effects take the same energy dependence as the standard interactions: $\epsilon_{e\alpha}^s$ and $\epsilon_{\alpha e}^d$ — energy constant parameters.

$\epsilon_{e\alpha}^s$ in source and $\epsilon_{\alpha e}^d$ in detector are correlated

$$\epsilon_{e\alpha}^s = (\epsilon_{\alpha e}^d)^* = \tilde{\epsilon}_{e\alpha}.$$

NSI associated with muon, $\epsilon_{\mu\alpha}^s$ and $\epsilon_{\alpha\mu}^d$

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 - Accelerator — source (π decay) and ν_μ detection

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$$|\nu_\mu^s\rangle = |\nu_\mu\rangle + \epsilon_{\mu\alpha}^s |\nu_\alpha\rangle, \quad \langle\nu_\mu^d| = \langle\nu_\mu| + \epsilon_{\alpha\mu}^d \langle\nu_\alpha|$$

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- We assume only the $(V - A)(V - A)$ type NSI which is the same as the electron associated NSI case.

The other cases are also examined in our paper.

$$\mathcal{L}_{\text{NSI}} = 2\sqrt{2}G_F\tilde{\epsilon}_{\mu\alpha}(\bar{\nu}_\alpha\gamma^\rho P_L\mu)(\bar{d}\gamma_\rho P_L u) + \text{H.c.},$$

$\epsilon_{\mu\alpha}^s$ in source and $\epsilon_{\alpha\mu}^d$ in detector are correlated

$$\epsilon_{\mu\alpha}^s = (\epsilon_{\alpha\mu}^d)^* = \tilde{\epsilon}_{\mu\alpha}.$$

NSI in propagation, $\epsilon_{\alpha\beta}^m$

- $\epsilon_{\alpha\beta}^m$ affects
 - Accelerator — neutrino propagation

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- $\epsilon_{\alpha\beta}^m$ affects
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- Standard oscillation Hamiltonian

$$(H_{\text{SO}})_{\beta\alpha} = \frac{1}{2E} U_{\beta i} \begin{pmatrix} 0 & & \\ & \Delta m_{21}^2 & \\ & & \Delta m_{31}^2 \end{pmatrix} U_{i\alpha}^\dagger + \begin{pmatrix} \sqrt{2}G_F N_e & & \\ & 0 & \\ & & 0 \end{pmatrix}$$

NSI in propagation, $\epsilon_{\alpha\beta}^m$

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- When we introduce

$$\mathcal{L}_{\text{NSI}} = 2\sqrt{2}G_F \epsilon_{\beta\alpha}^m (\bar{\nu}_\beta \gamma^\rho P_L \nu_\alpha) (\bar{e} \gamma_\rho P_L e) + \text{H.c.},$$

The total Hamiltonian becomes

$$H = H_{\text{SO}} + \sqrt{2}G_F N_e \epsilon_{\beta\alpha}^m$$

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- 1 Introduction
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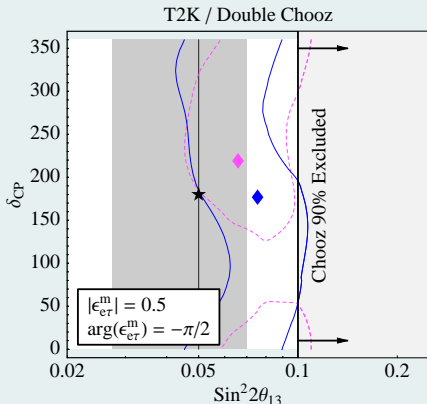
- 2 Numerical study
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Examples: Mismatch

If NSI $\epsilon_{e\tau}^m = 0.5e^{-i\pi}$ exists, what will reactor and accelerator see?

True values — $\sin^2 2\theta_{13} = 0.05$ and $\delta_{CP} = \pi$.

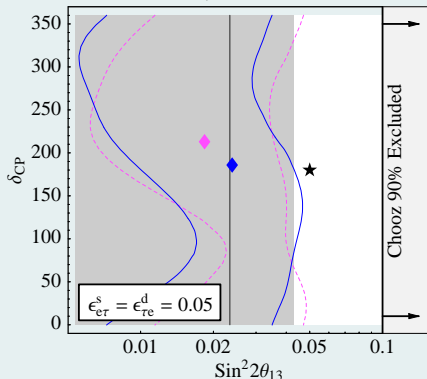


Examples: Offset

If $\epsilon_{e\tau}^s = (\epsilon_{\tau e}^d)^* = 0.05$

True values — $\sin^2 2\theta_{13} = 0.05$ and $\delta_{CP} = \pi$.

T2K / Double Chooz



The results are consistent but the true parameter point is excluded
 — *Common offset*

Systematic study: Before showing plots...

The plots in the next slides indicate —

How the best fit values of θ_{13} change if there is a NSI with

- $|\epsilon| = 0-0.1$ (for source and detector), $|\epsilon| = 0-0.7$ (for matter),
- $\arg[\epsilon] = 0-2\pi$.

Bounds

- ϵ^m : NSIs in matter

LFV processes through loop diagrams constrain them

Davidson Peña-Garay Ruis Santamaria JHEP 03 (2003) 011

→ $\epsilon_{e\tau}^m \lesssim 0.7$ This is the only relevant NSI in matter.

$\epsilon_{e\mu}^m < 5 \cdot 10^{-4}$ → irrelevant in superbeam experiments.

$\epsilon_{\mu\tau}^m$ does not affect the θ_{13} determination.

$\epsilon_{\alpha\alpha}^m$ only gives sub-dominant effects.

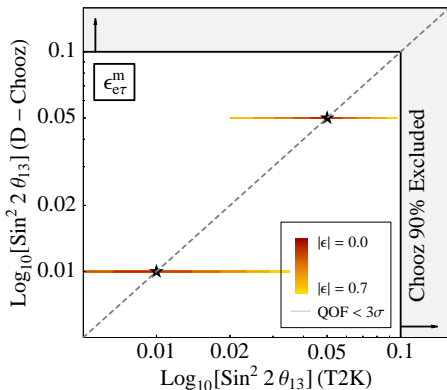
- $\epsilon^{s,d}$: NSIs in source and detection:

$\epsilon_{\mu e}^s$ and $\epsilon_{\mu e}^d$ are constrained at 0.09_{PDG}. The others are, at least,

bound from lepton universality at the same level. → $\epsilon^s, \epsilon^d \lesssim 0.1$.

Systematic study: NSI in matter

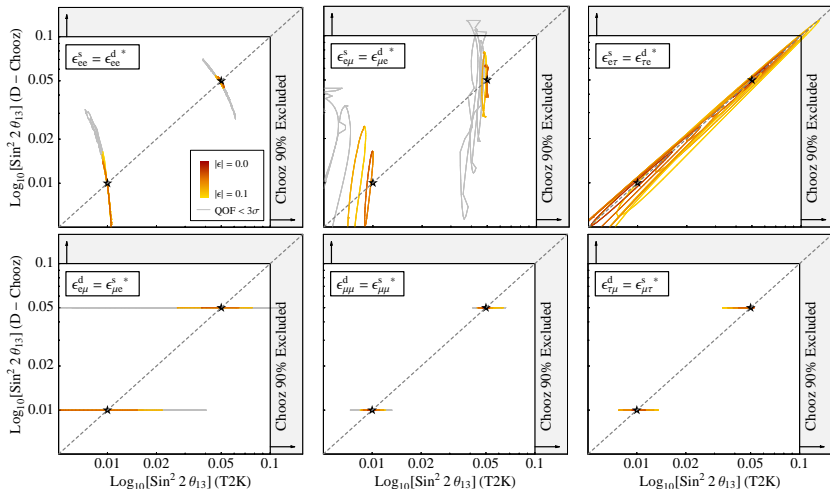
- How the best fit values of θ_{13} change if there is a NSI with
 - $|\epsilon_{e\tau}^m| = 0-0.7$, $\arg[\epsilon] = 0-2\pi$.



- Only the accelerator exp. is affected by the NSI in matter
— *mismatch*

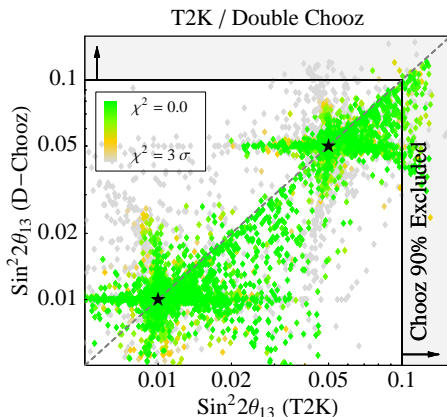
Systematic study: NSI in source and detector

- How the best fit values of θ_{13} change if there is a NSI with
 - $|\epsilon^{s,d}| = 0-0.1$,
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Systematic study: scatter plot

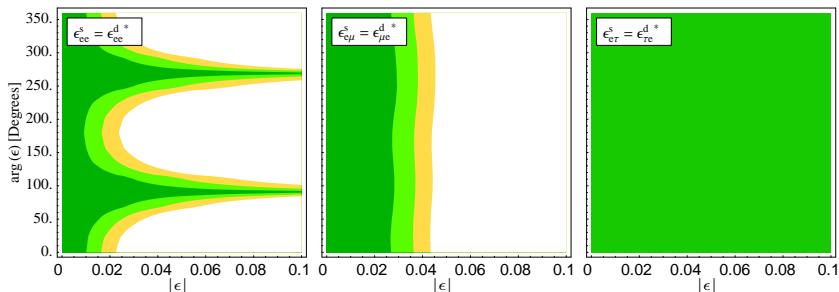
- How the best fit values of θ_{13} change if there are NSIs



- We introduce some random combinations of the NSI parameters.

Systematic study: Discovery reach

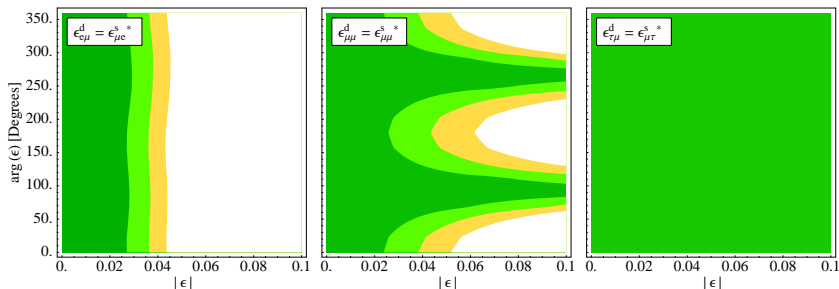
- Discovery reach — if $\chi^2 > 3\sigma$ after marginalizing all the standard oscillation parameters, we can discover a NSI.



- The discovery reach strongly depends on the argument of the epsilon parameters.

Systematic study: Discovery reach

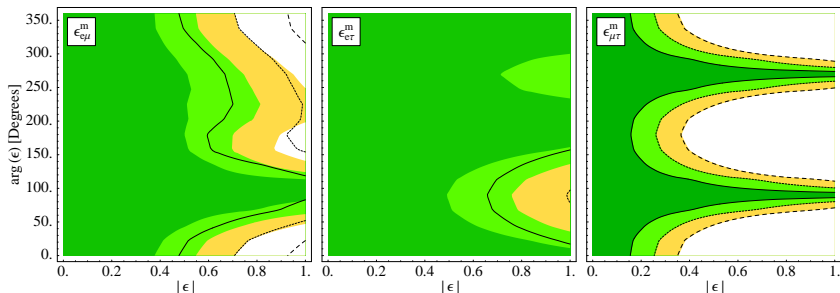
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Summary

- We study the effects of NSIs in forthcoming experiments —

Reactor and accelerator

Mismatch — The two experiments yield a tension.
 We will feel the existence of something non-standard.
 — realized by e.g., $\epsilon_{e\tau}^m$.

Offset — The two experiments coincide with each other and are consistent with the standard oscillation hypothesis but the true parameter region is excluded.
 — realized by e.g., $\epsilon_{e\tau}^s = (\epsilon_{\tau e}^d)^* (= \tilde{\epsilon}_{e\tau})$.

- The two experiments are not redundant — They will give important information for standard and non-standard neutrino physics.