

Neutron analysis in LHCf Arm2

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RHICf Japan meeting
Nagoya 5th April 2017

Outline

- Introduction
 - The LHCf Arm2 detector
 - Event reconstruction
 - Event selection
- Analysis strategy
 - Correction factors
 - Spectra unfolding
 - Systematic uncertainties
- Results

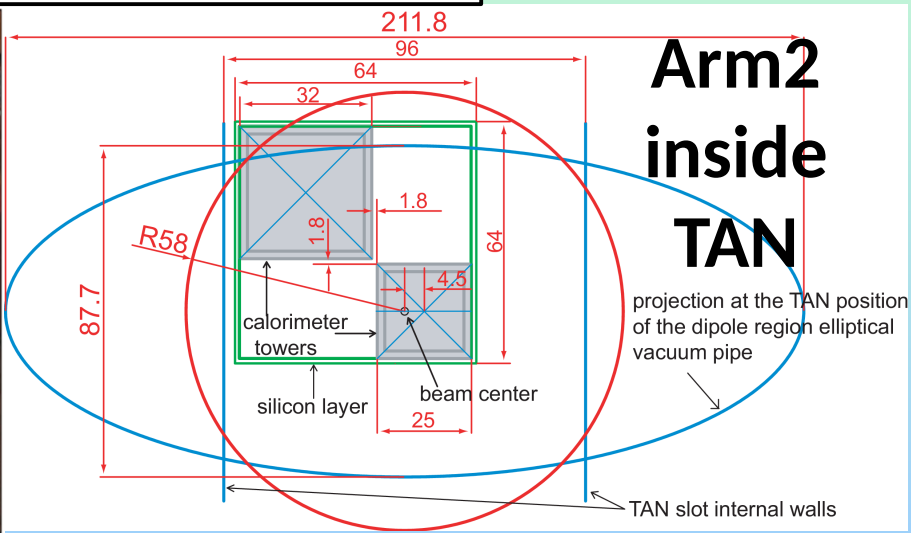
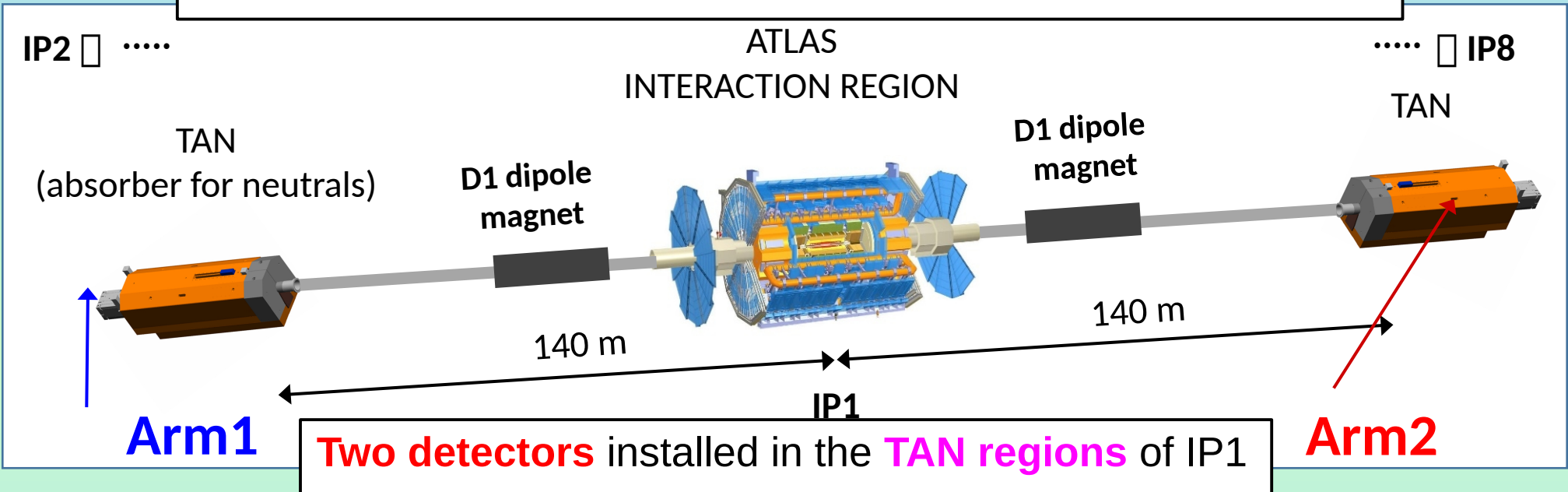
This analysis is relative to **Arm2** detector (LHCf), not **Arm1** detector (LHCf and RHICf)

Measurements of the energy spectra relative to neutrons produced in $\sqrt{s} = 13$ TeV p-p collisions using the LHCf Arm2 detector

Even if the analysis is well established, it is still preliminary

The LHCf Experiment

Detection of **neutral particles** having **pseudorapidity $\eta > 8.4$**



LHCf detectors

Arm1

Towers Size:

20 x 20 and 40 x 40 mm²

Imaging layers:

4 x-y GSO bars

Position resolution:

< 200 μm (photons)

< 1 mm (hadrons)

Two sampling calorimeters

Two towers:

22 W and 16 GSO layers

Depth: 21 cm, 44 X₀, 1.6 λ₁

Energy resolution:

< 2% (photons above 100 GeV)

~ 40% (neutrons above 1 TeV)

Arm2

Towers Size:

25 x 25 and 32 x 32 mm²

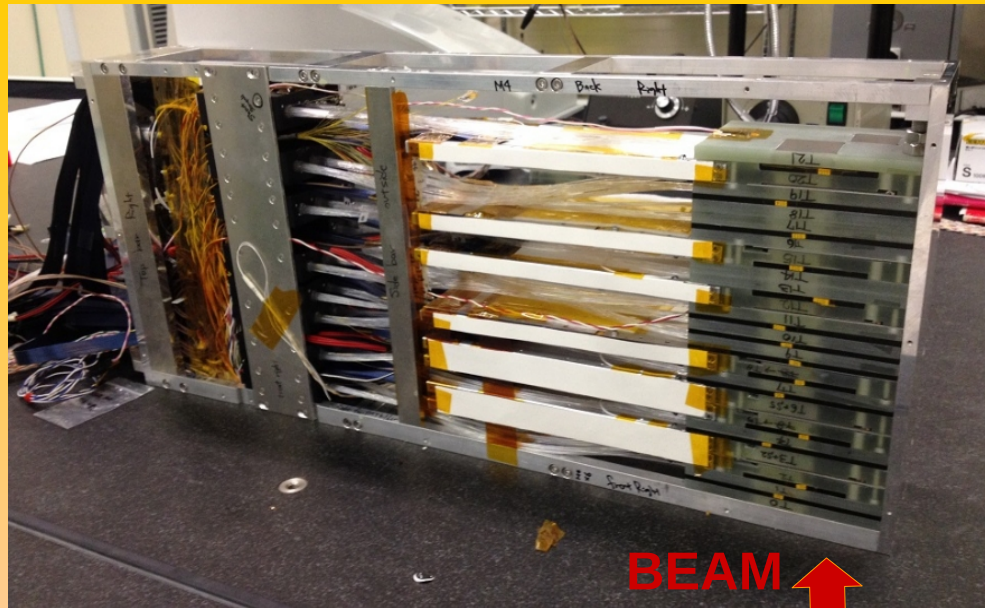
Imaging layers:

4 x-y silicon microstrip

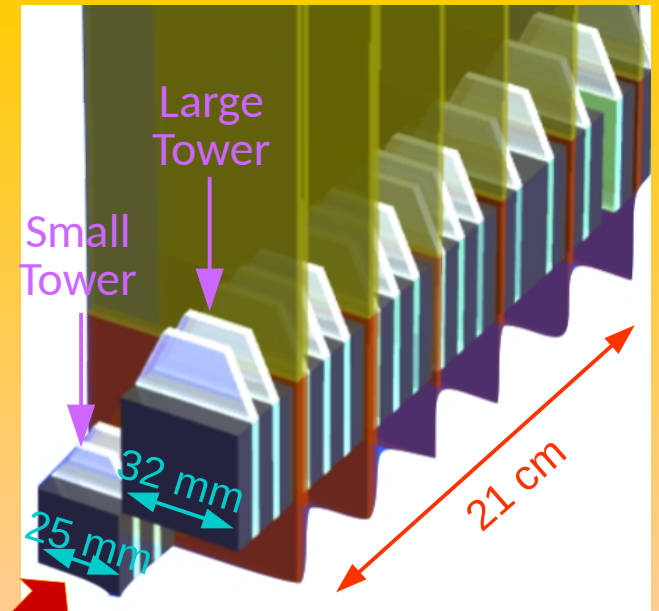
Position resolution:

< 40 μm (photons)

< 400 μm (hadrons)

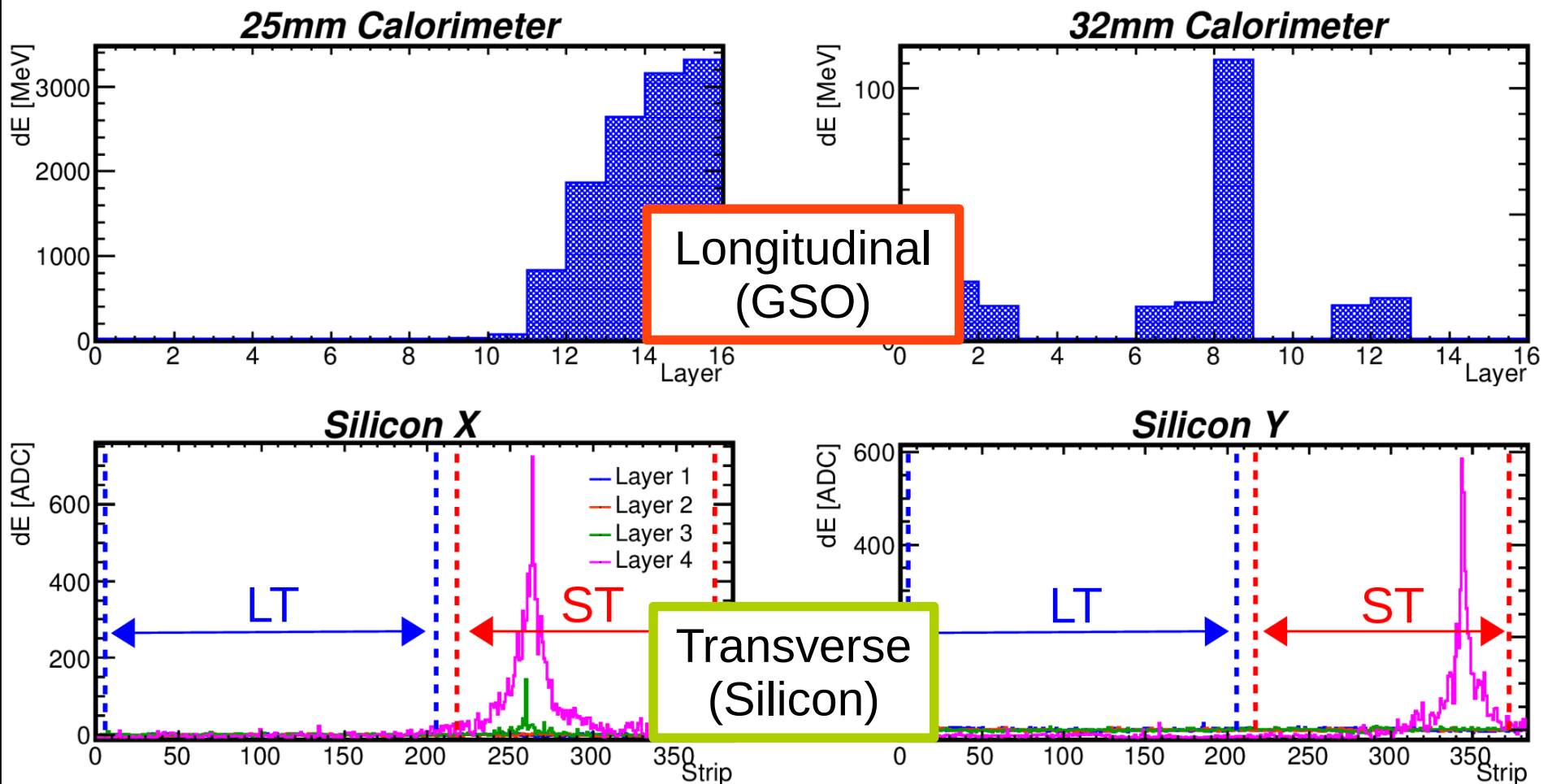


Arm2 detector



Detector information

Interaction of a hadron with Small Tower



Event reconstruction

Note:
All events are
reconstructed
as singlehit

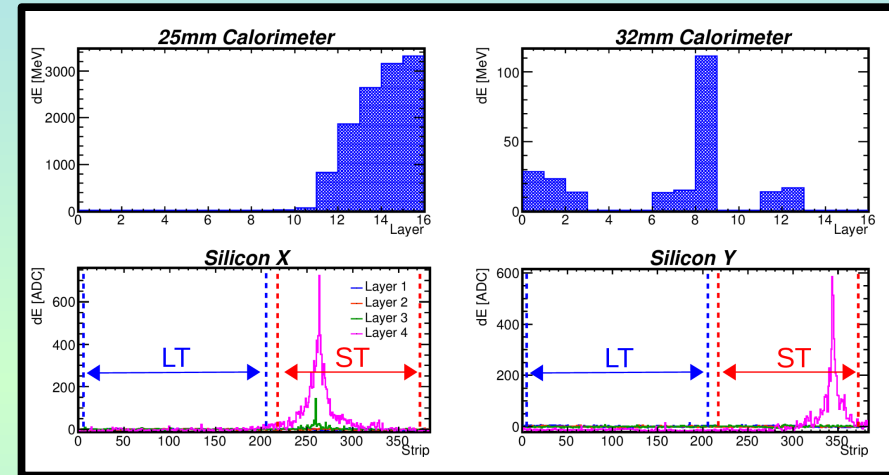
Silicon
detectors:
Lorentzian fit
on layers
having the
maximum
energy deposit

determination of
transverse
position
(x, y)

Determination of
position dependent
correction factors:
 $Eff_i(x,y)$,
 $Leak(x,y)$

Scintillator
detectors:
determination
of the energy
deposit in
each layer dE_i

Application of
position dependent
correction factors
 $dE_i / [Eff_i(x,y) *
Leak(x,y)]$



$L_{20\%}$, $L_{90\%}$, L_{2D}

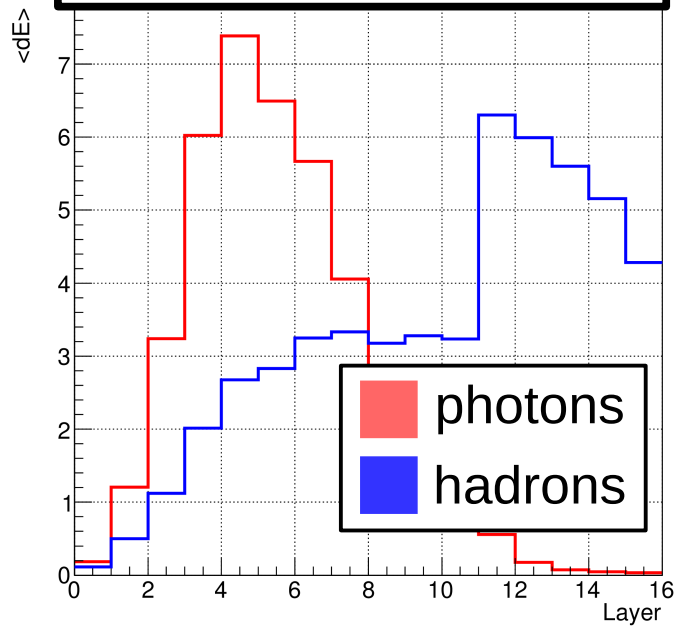
PID

$sumdE$

E

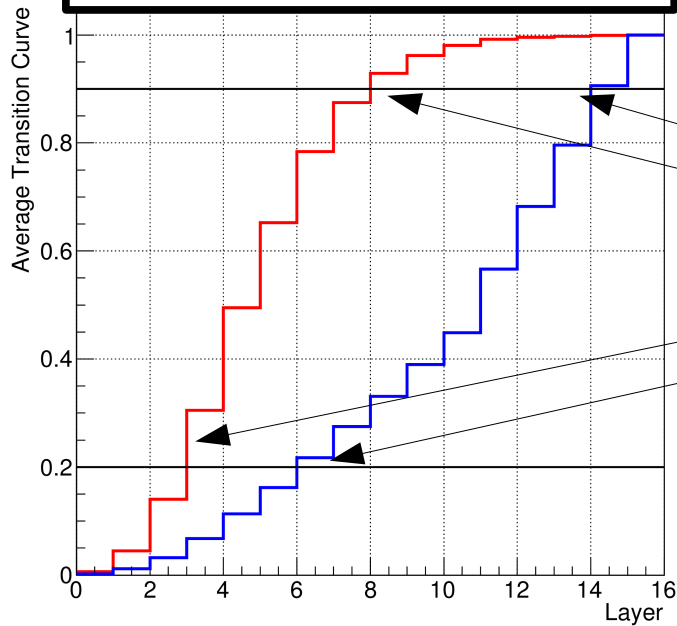
Particle Identification

Average energy deposit



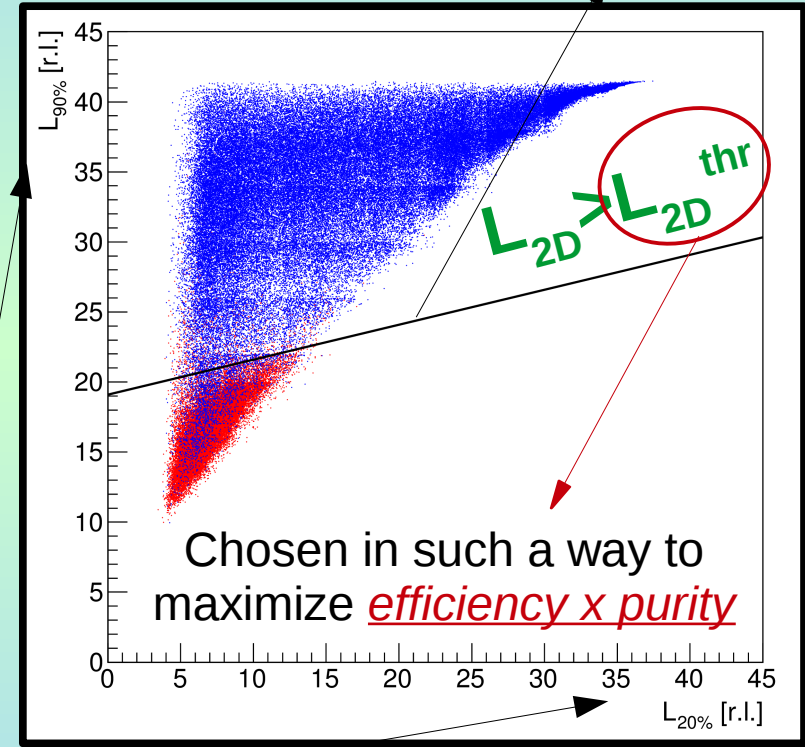
photons
hadrons

Average integrated energy deposit normalized to the total energy deposit



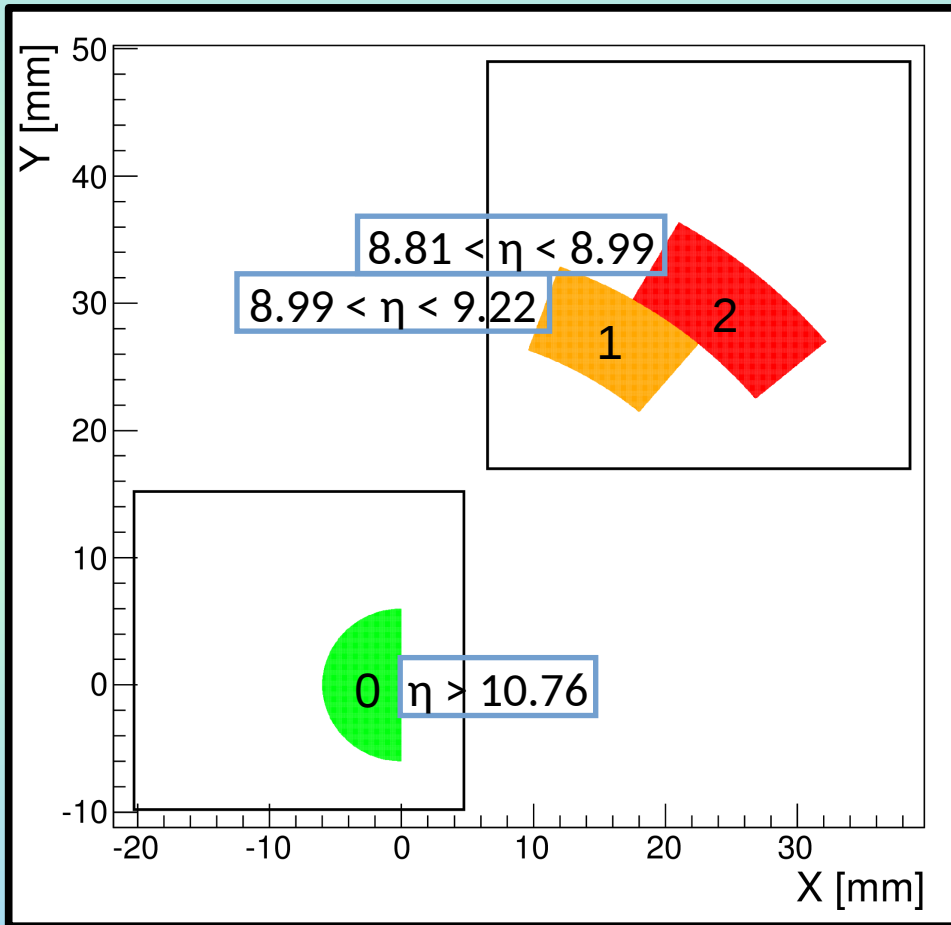
$L_{90\%}$
 $L_{20\%}$

$$L_{2D} = L_{90\%} - 0.25 \times L_{20\%}$$



Note:
It is not possible to separate neutrons from neutral hadrons (Λ^0, K_L^0, \dots) that represent a fraction of 15-35% of the entries in the final energy spectra

Event selection



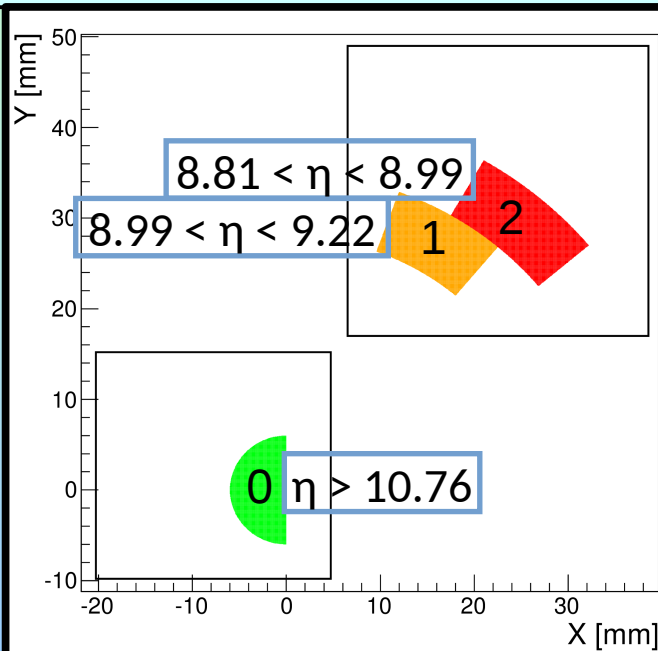
Event selection criteria:

- **software trigger**
 - at least 3 consecutive layers with deposit above threshold $dE > dE^{\text{thr}}$
- **PID selection**
 - $L_{2D} > L_{2D}^{\text{thr}}$ where L_{2D} is a variable related to shower longitudinal profile
- **pseudorapidity acceptance**
 - 3 different pseudorapidity regions

Analysis data set

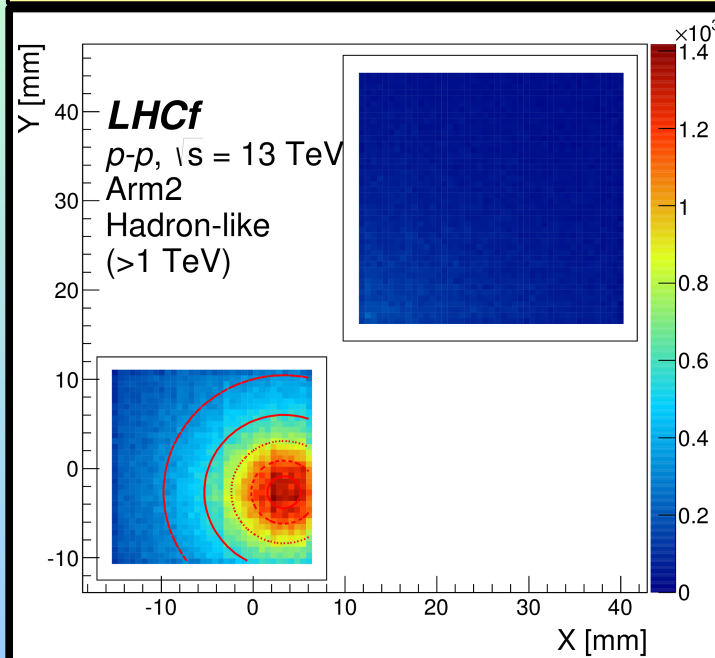
Data set

- 12 July 2015, 22:32-1:30 (3 hours)
- Fill # 3855
- $\mu = 0.01$
- $\int L dt = 0.19 \text{ nb}^{-1}$
- $\sigma_{\text{ine}} = 78.53 \text{ mb}$

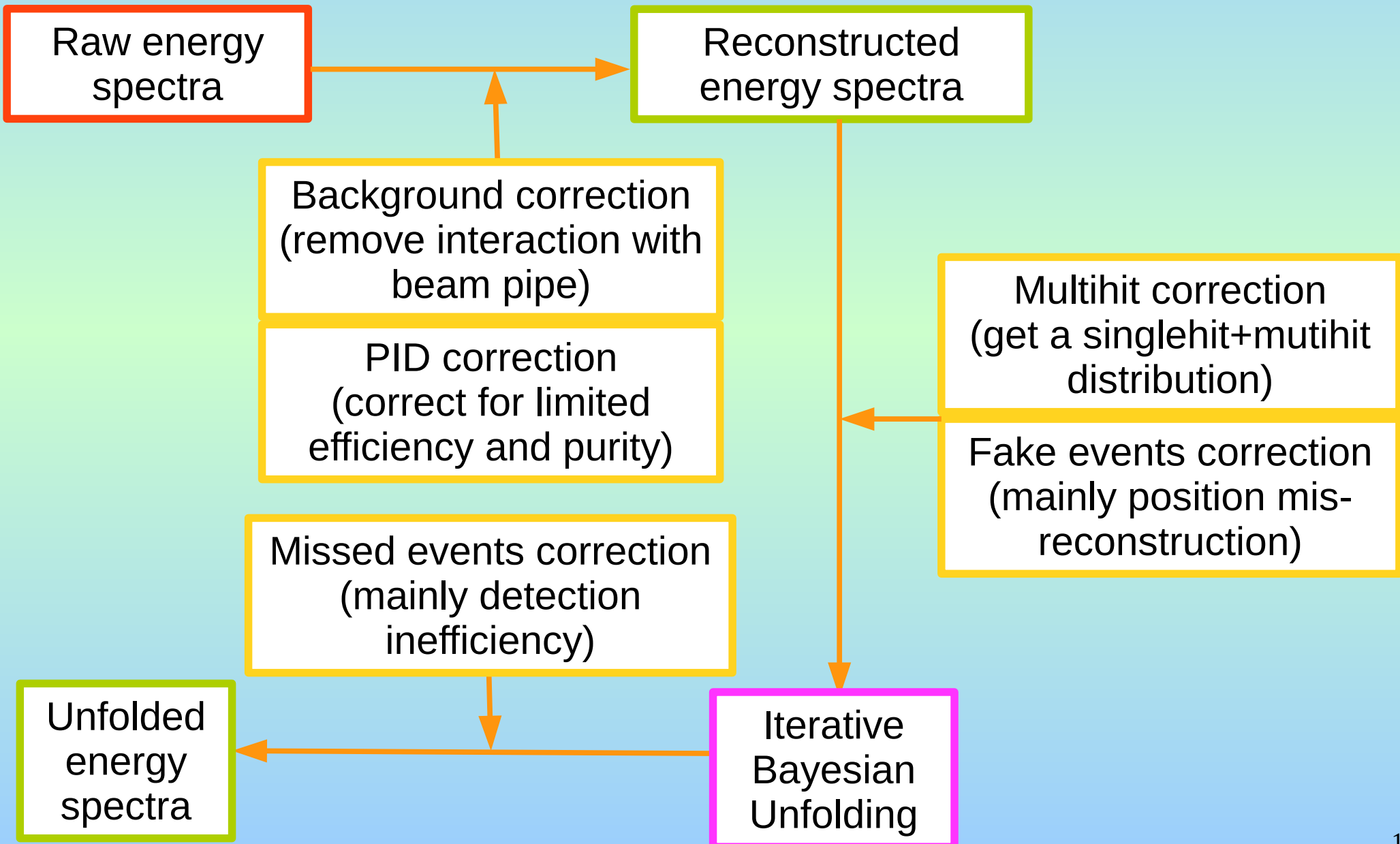


Determination of beam center

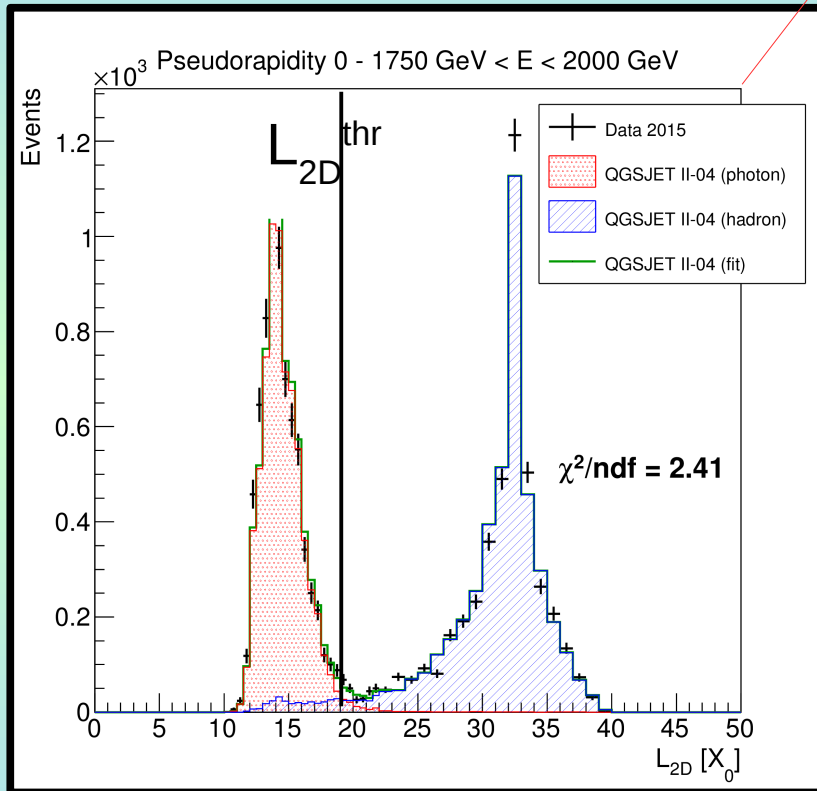
- Neutrons peaked along beam direction
- Perform a fit on 2D distribution
- Beam center is (+3.3, -2.7) mm
- Uncertainty is 0.3 mm for both x and y



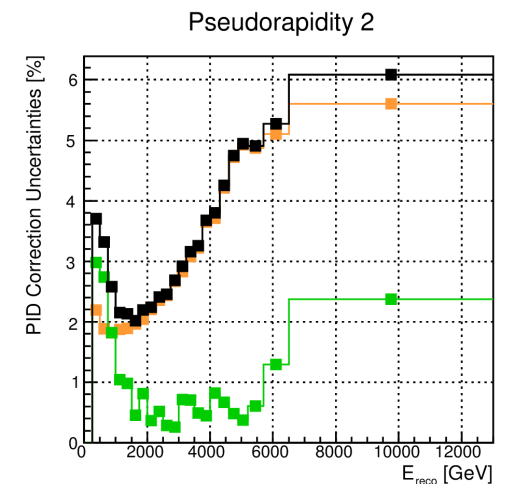
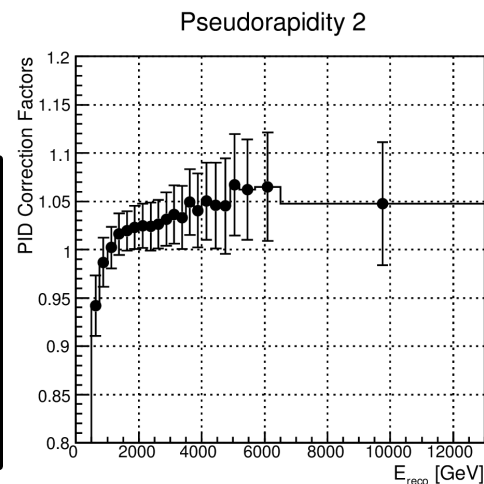
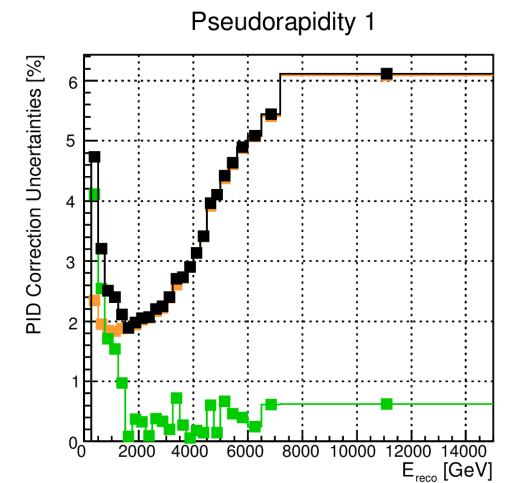
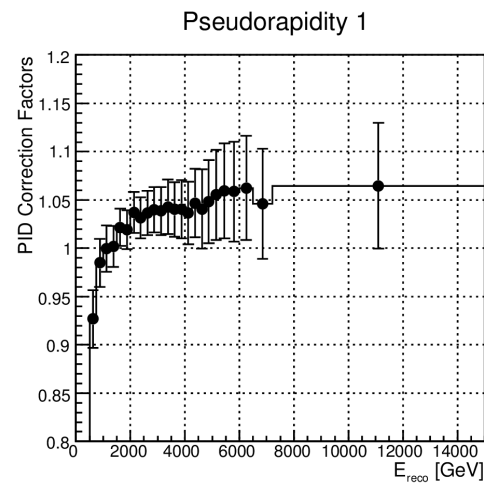
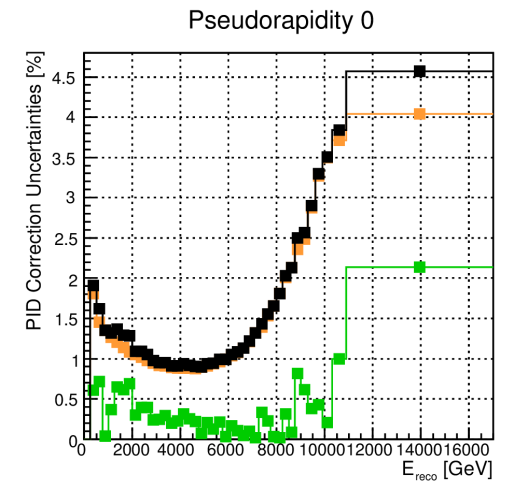
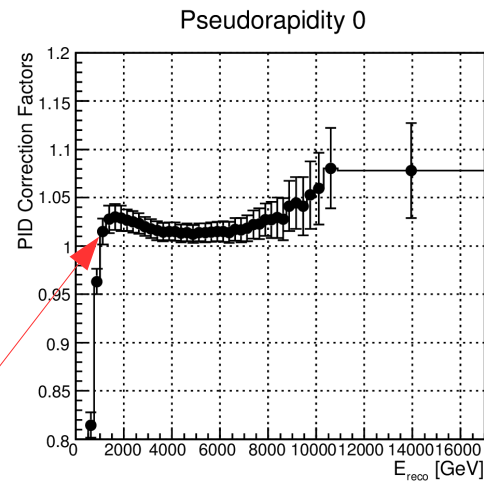
Analysis strategy



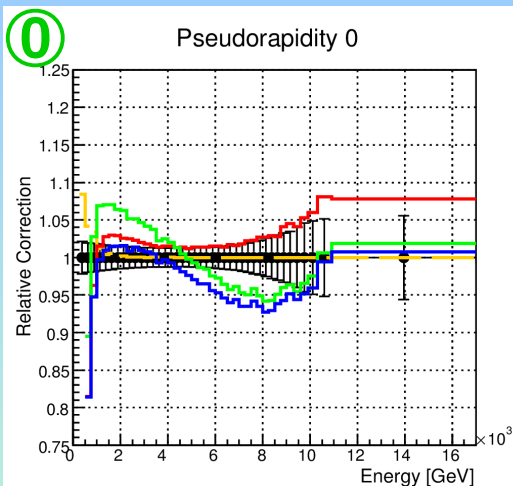
PID Correction



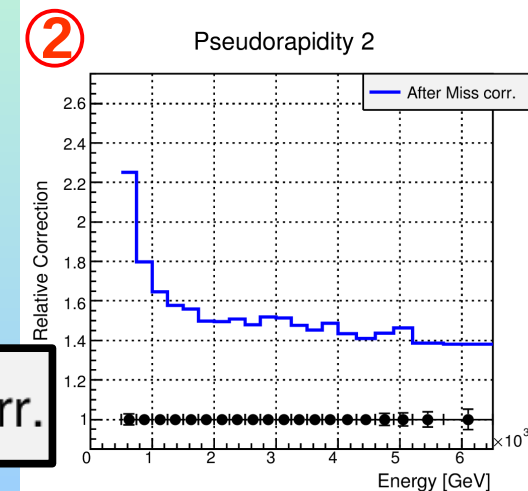
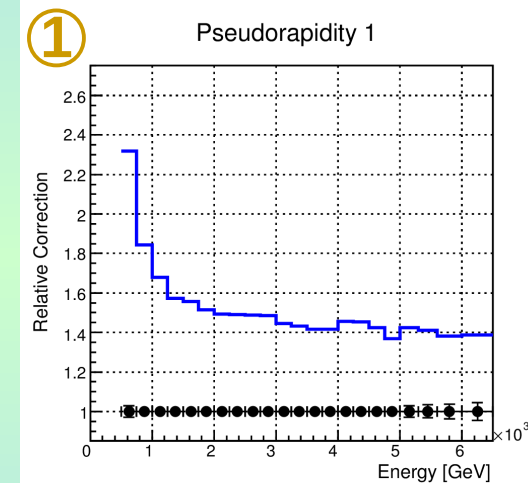
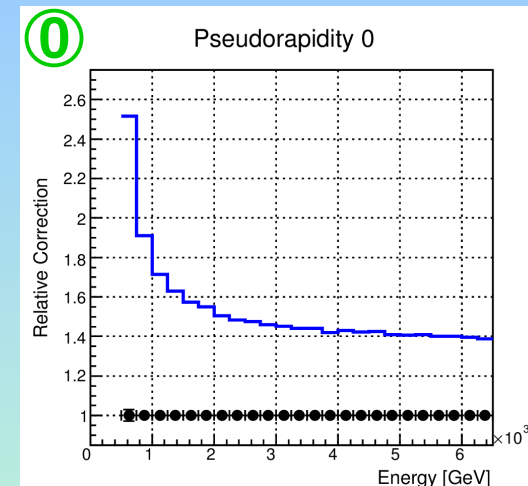
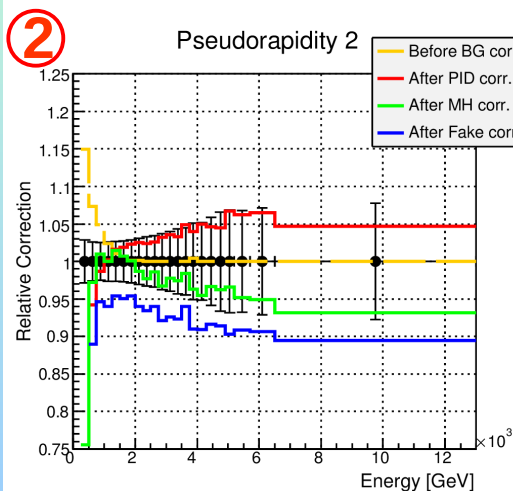
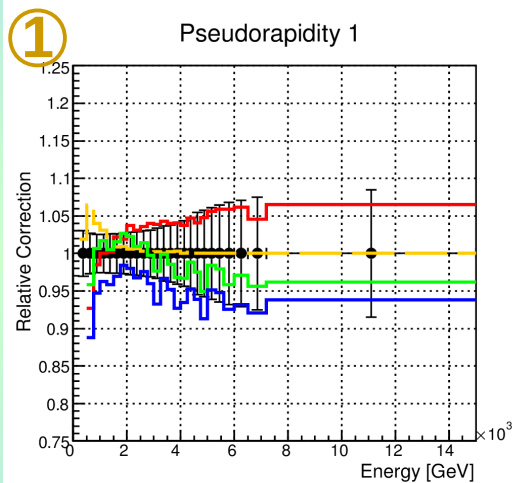
Template fit between L_{2D} distributions in data and in MC. Estimation of purity and efficiency. Correction factors are given by **$c = \text{purity}/\text{efficiency}$**



Correction Factors



— Before BG corr.
 — After PID corr.
 — After MH corr.
 — After Fake corr.



All correction factors have been determined using **QGSJet II-04** and **EPOS-LHC** generators and full detector simulation.

Multihit correction is the only generator-dependent correction

All corrections are mostly below 10% apart from **Missed events correction**, due to small detection efficiency (<75% at high energy)

— After Miss corr.

Spectra unfolding

The limited energy resolution strongly affect the measured spectra. It is necessary to unfold the reconstructed spectra using detector response.

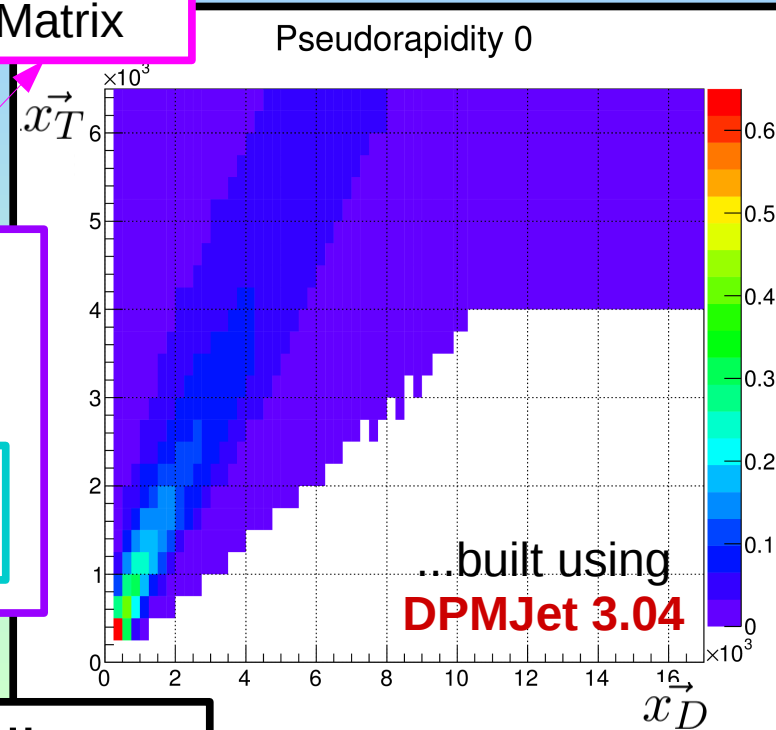
In our case \vec{x} is energy

$$\vec{x}_D = \Lambda \vec{x}_T$$

Reconstructed spectra

True spectra

Response Matrix



Iterative Bayesian Unfolding

Posterior $\theta_{ij} \equiv P(T_i | D_j)$

Input prior

Prior $P(T_i)$

Bayes theorem

$$\theta_{ij} = \frac{\lambda_{ji} P(T_i)}{\sum_{i=1}^{N_T} \lambda_{ji} P(T_i)}$$

with

$$\lambda_{ji} \equiv P(D_j | T_i)$$

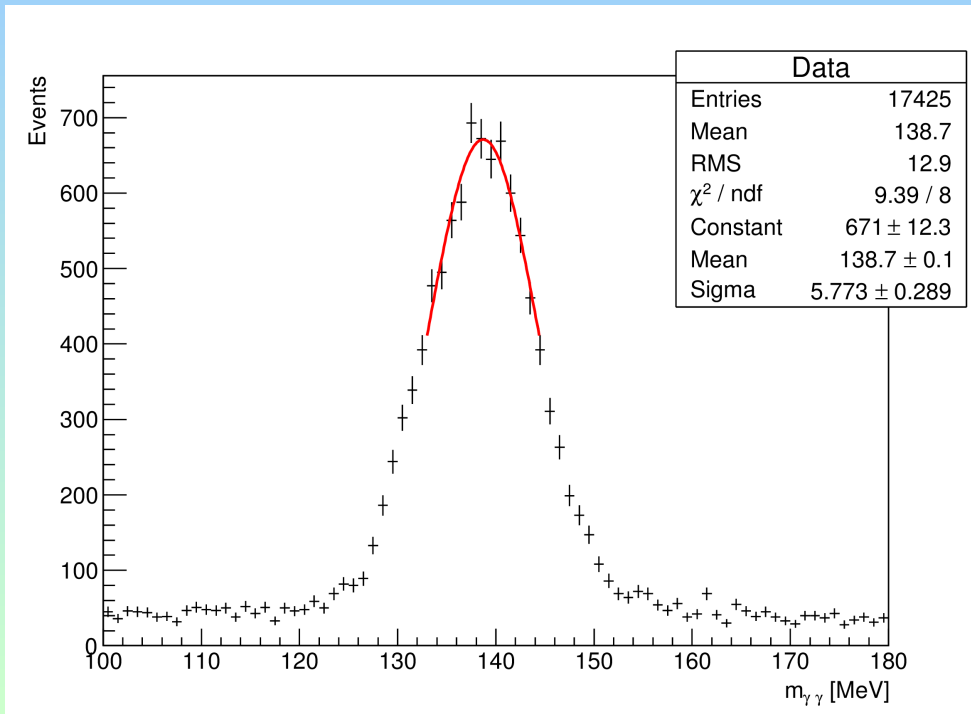
from MC

Unfolded spectra

$$x_{T_i} = \frac{1}{\epsilon_i} \sum_{j=1}^{N_D} \theta_{ij} x_{D_j}$$

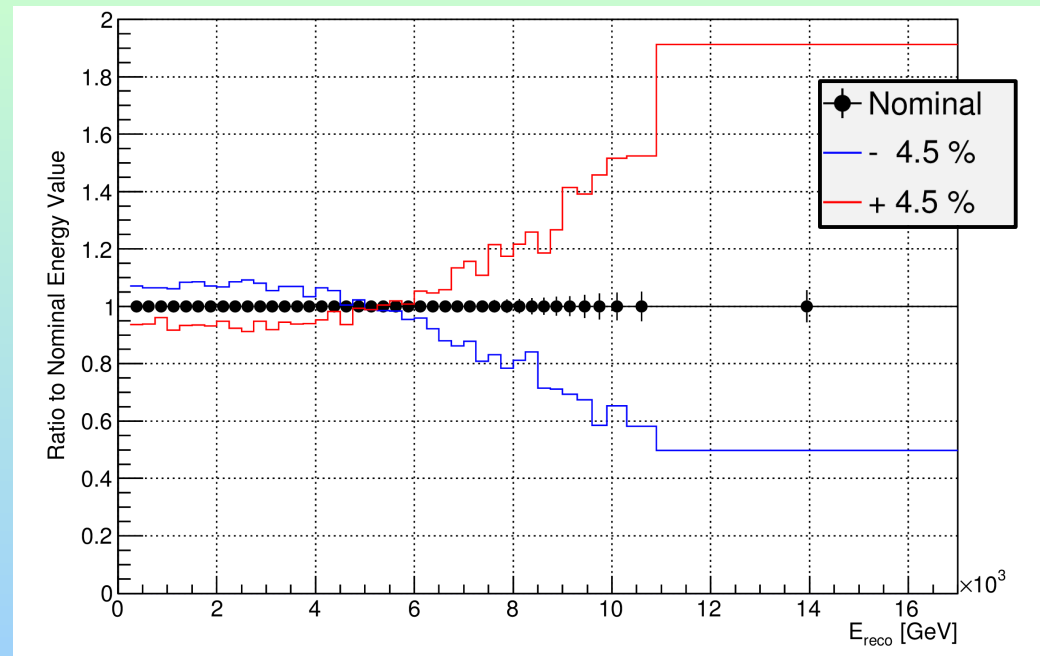
The iterative procedure converges when $\Delta\chi^2 < \text{threshold}$

Uncertainty on the energy scale



calibration effect = 3.5%
hardware effect = 2%
 π^0 mass shift = 2.15%
 $\sigma_{\text{energy}} = \sqrt{\sigma_{\text{cal}}^2 + \sigma_{\text{hw}}^2 + \sigma_{\pi^0}^2} = 4.5\%$

Artificially shift energy by $\pm\sigma_{\text{energy}}$
Take the ratio to nominal value
Estimate error bands



How uncertainties are propagated through unfolding

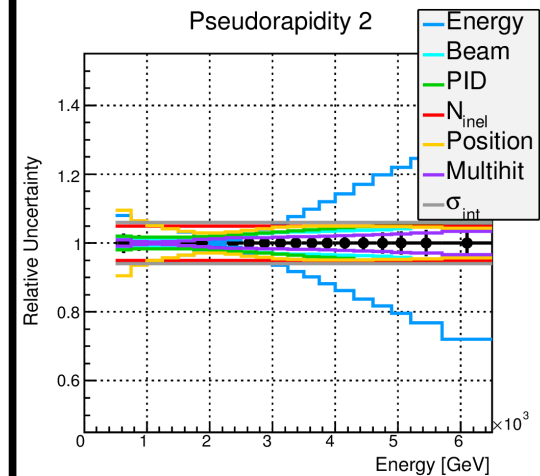
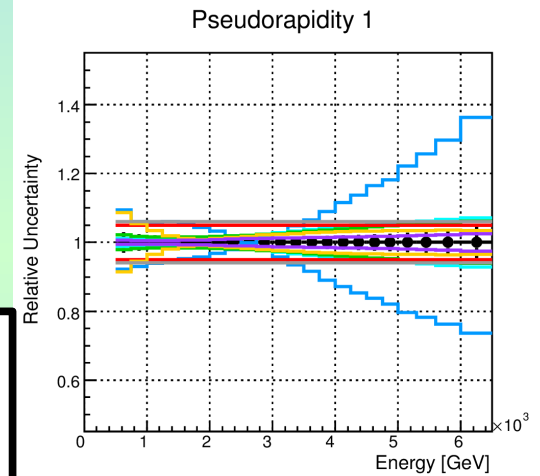
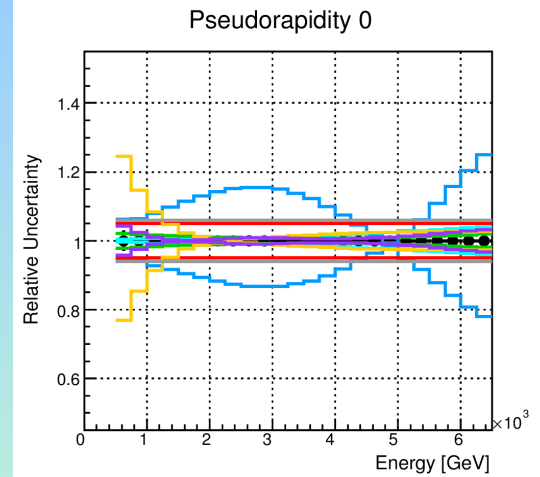
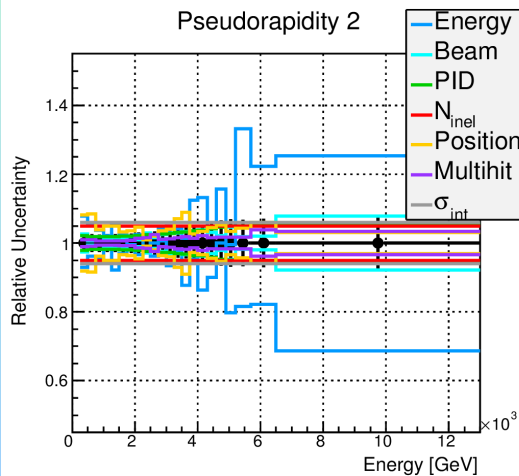
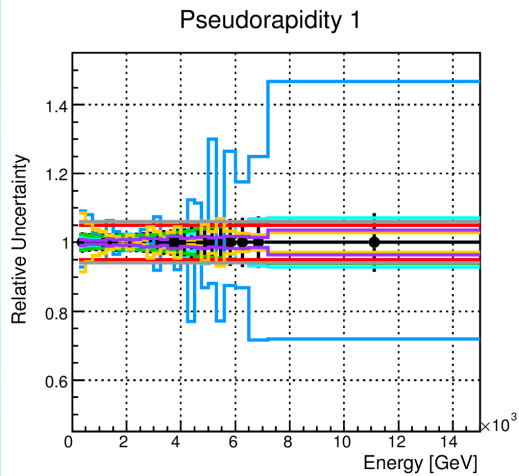
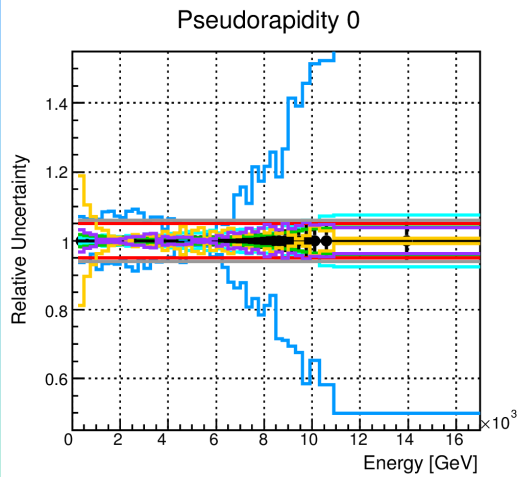
Iterative Bayesian Unfolding can **NOT** handle systematic uncertainties

We **manually** propagated uncertainties through the unfolding

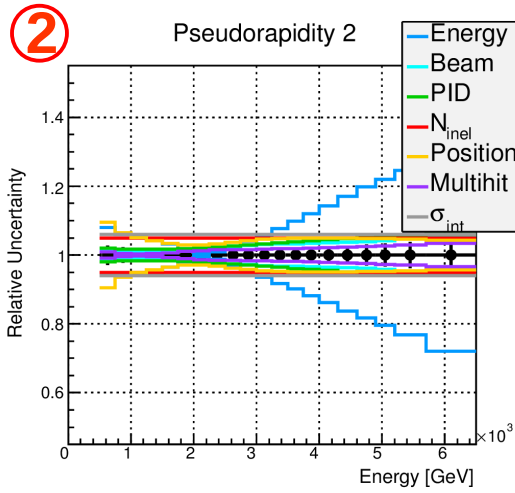
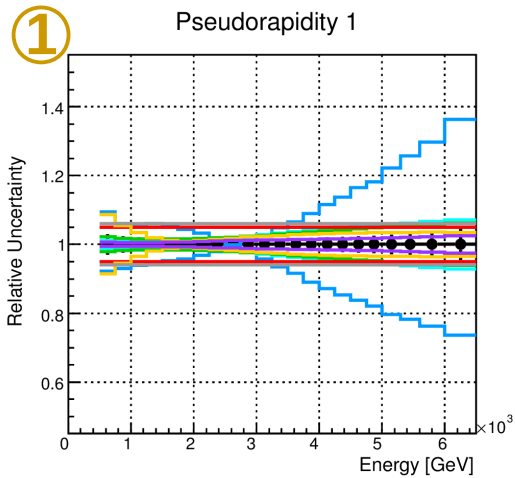
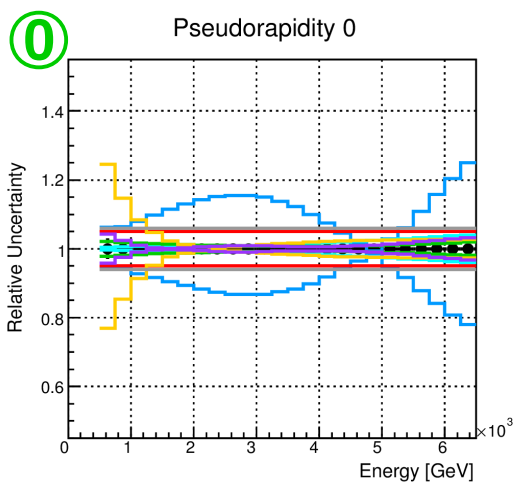
For each systematic:

- we shift *reconstructed spectra* for the high (low) edge of the estimated uncertainty
- we unfold shifted-spectra
- the high (low) edge of uncertainty on *unfolded spectra* is given by the ratio

$$\frac{\text{unfolded}_{\text{shifted}}}{\text{unfolded}_{\text{nominal}}}$$



Systematic uncertainties

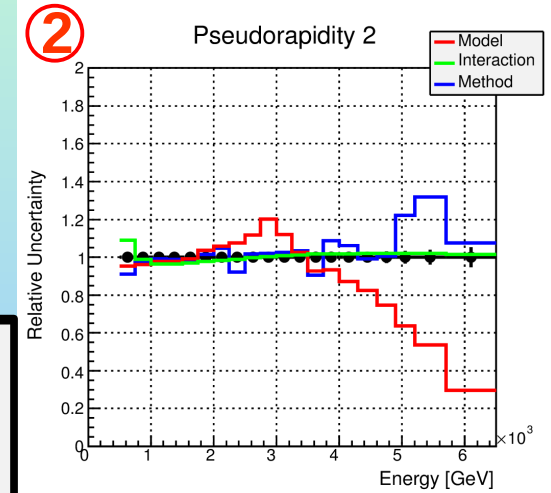
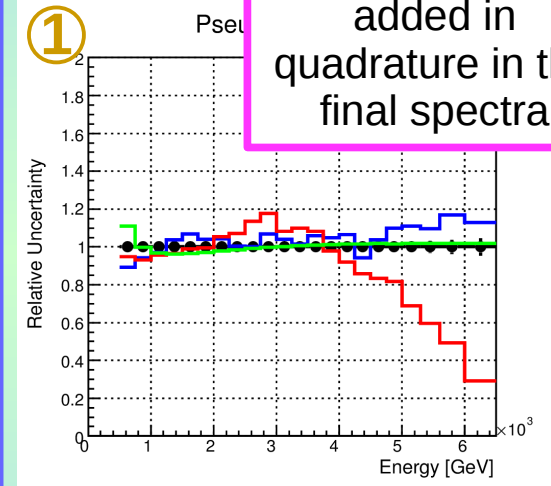
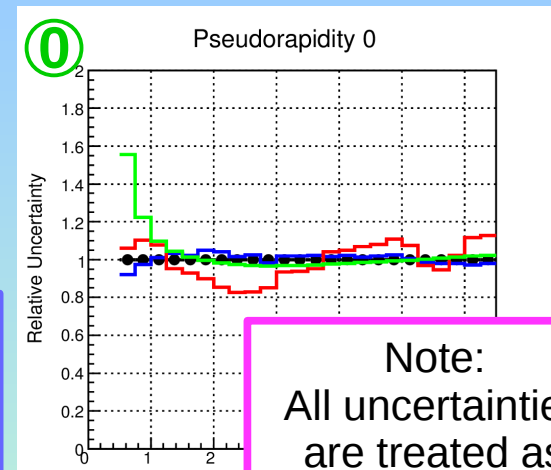


- Energy
- Beam
- PID
- N_{inel}
- Position
- Multihit
- σ_{int}

The dominant contribution related to the reconstruction process is the **Energy systematic**, whereas other terms, due to correction factors (PID, Multihit), beam parameters (Beam center, N_{inel}) or detector performances (Position Resolution), are mostly below 5%

The dominant contribution related to the unfolding process is **Model systematic**, due to the large dependence on the generator used for training of unfolding algorithm

- Model
- Interaction
- Method

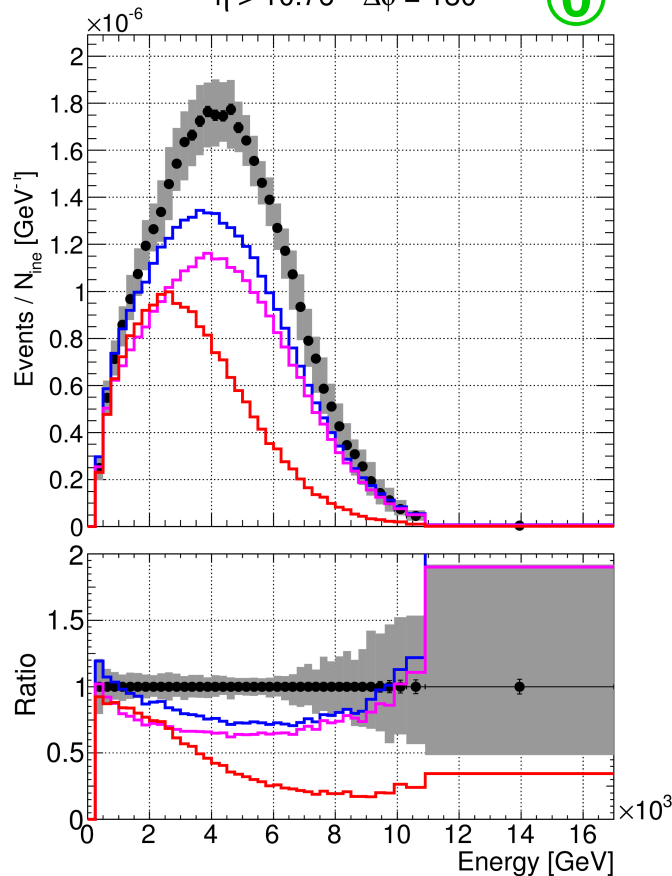


Reconstructed energy spectra

$Events / N_{ine} / dE$

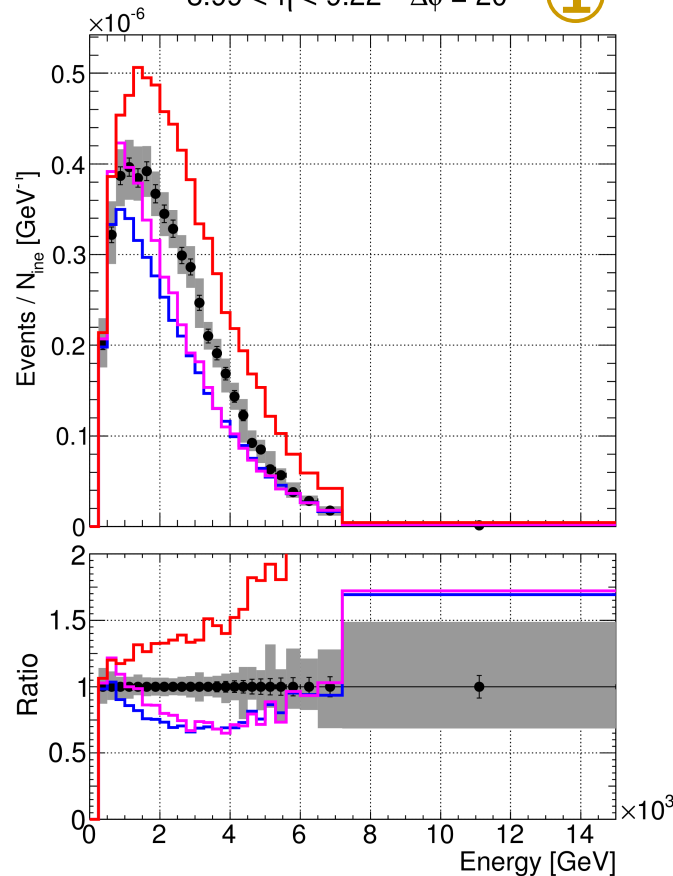
$\eta > 10.76 \quad \Delta\phi = 180^\circ$

①



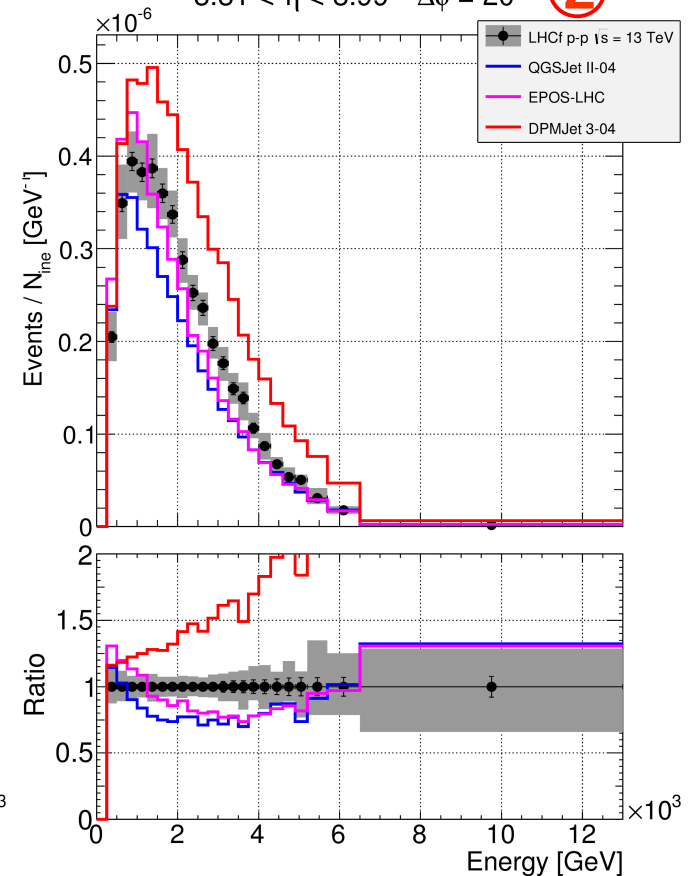
$8.99 < \eta < 9.22 \quad \Delta\phi = 20^\circ$

②



$8.81 < \eta < 8.99 \quad \Delta\phi = 20^\circ$

③

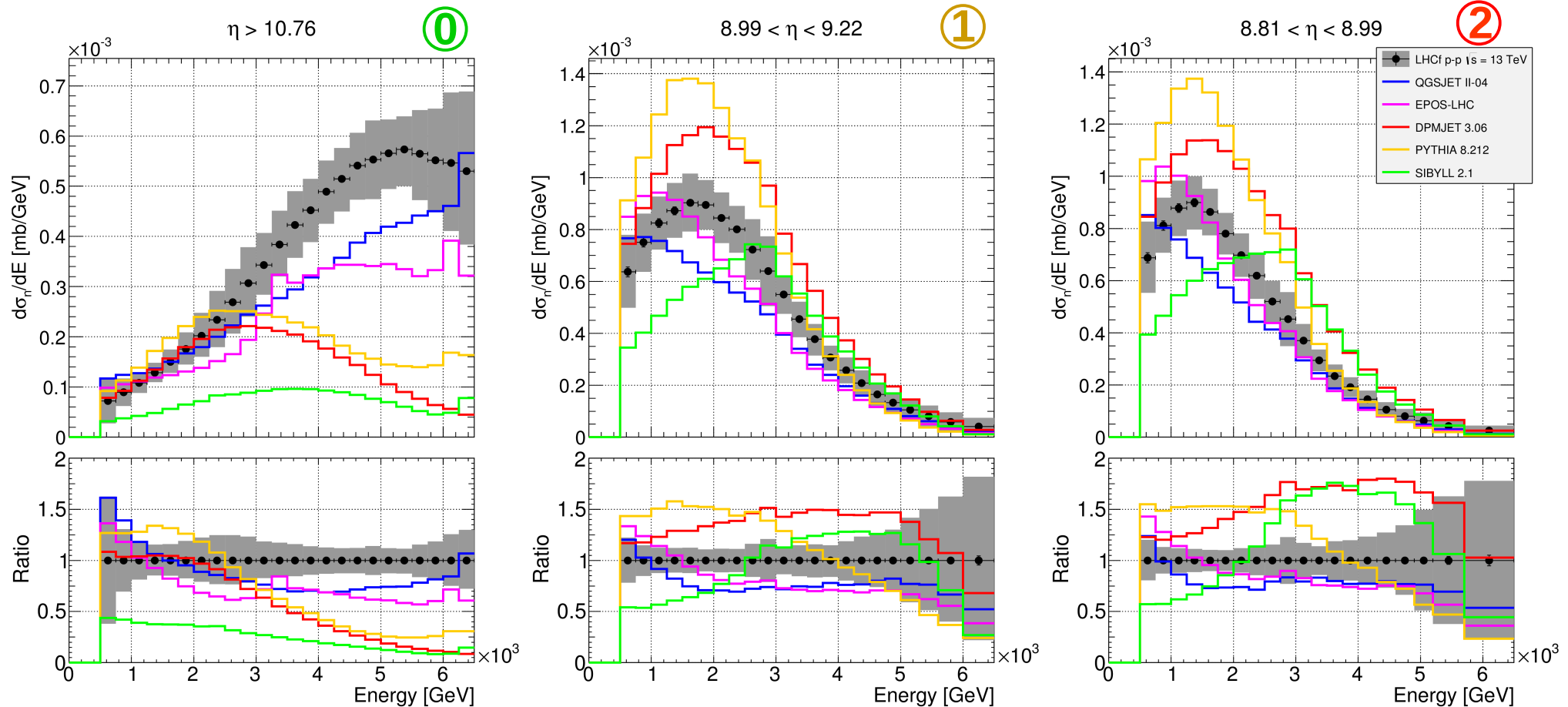


QGSJET II-04 and **EPOS-LHC** have similar shape but lower yield
DPMJET 3.04 have very different shape and yield

Unfolded energy spectra

Differential production cross section

$$d\sigma_n/dE = \frac{dN(\Delta\eta, \Delta E)}{E} \frac{1}{L} \times \frac{2\pi}{d\phi}$$



Only **QGSJET II-04** qualitatively reproduces behavior of data in $\eta > 10.76$
EPOS-LHC has similar shape in $8.81 < \eta < 9.22$, but lower yield

Test of Feynman scaling

Approximations:

- $p_z \sim E$
- $p_T \sim \theta \times \sqrt{s}/2$

Feynman scaling hypothesis

In the very forward region, secondary particles production cross sections, expressed as a function of the $x_F = 2p_z/\sqrt{s}$ variable, should be independent on \sqrt{s} if we consider the same p_T interval

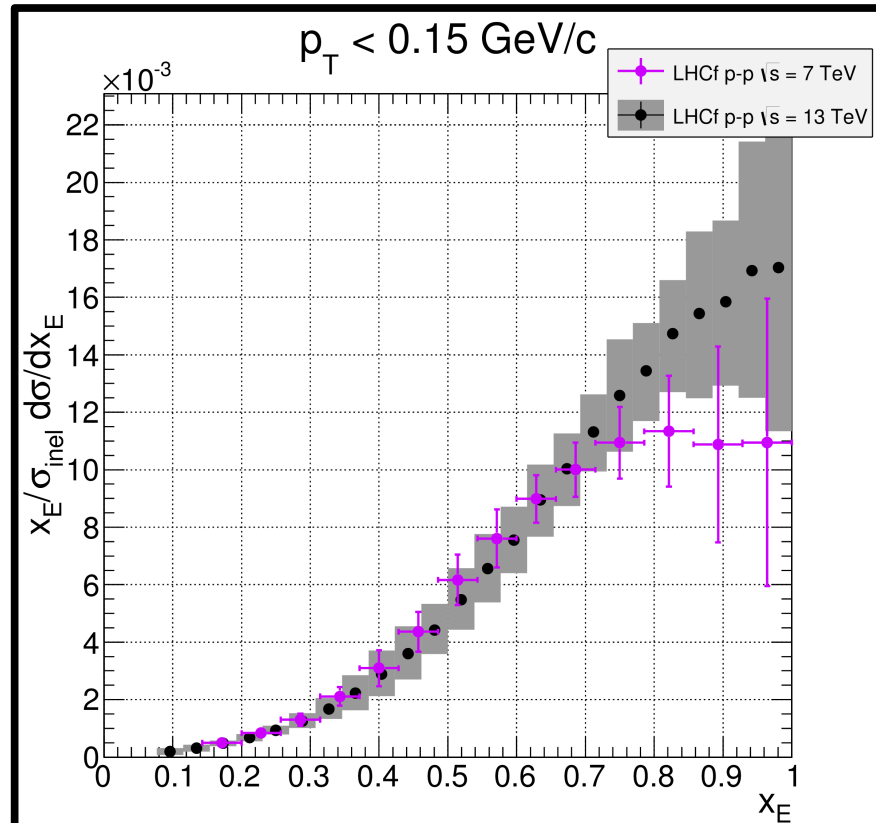
Idea

Use neutron production cross section measured in case of p-p collisions at $\sqrt{s}=7$ and 13 TeV to test Feynman scaling hypothesis

How to Proceed

In case of $\sqrt{s}=7$ TeV, the region $\eta > 10.76$ corresponds to $p_T < 0.15$ GeV/c

The analysis at $\sqrt{s}=13$ TeV was repeated for the region $\eta > 11.38$ to have same p_T coverage



Feynman scaling hypothesis holds within the error bars
Consistency is good especially in the region $0.2 < X_E < 0.75$

Summary

We presented the **analysis procedure** for the reconstruction of the energy spectra relative neutral hadrons with the LHCf Arm2 detector

- Estimation of **correction factors** using generators with detector simulation :
main contribution ($> 30\%$) from detection efficiency
- Estimation of **systematic uncertainties** :
main contribution ($< 35\%$) from the energy scale
- Use of **iterative bayesian unfolding** to cope with 40% energy resolution :
uncertainties due to unfolding procedure itself are also take into account

Making use of these analysis procedure we measured the **energy spectra** relative to neutrons produced in $\sqrt{s}=13$ TeV p-p collisions

- A large amount of high energy neutrons was found in the region **$\eta > 10.76$** , qualitatively reproduced only by **QGSJet II-04**
- **EPOS-LHC** and **QGSJet II-04** reproduce enough well the differential production cross section in the region **$8.81 < \eta < 9.22$**
- A **test of Feynman scaling** using data relative to $\sqrt{s}=7$ and 13 TeV showed that the hypothesis holds within the uncertainties