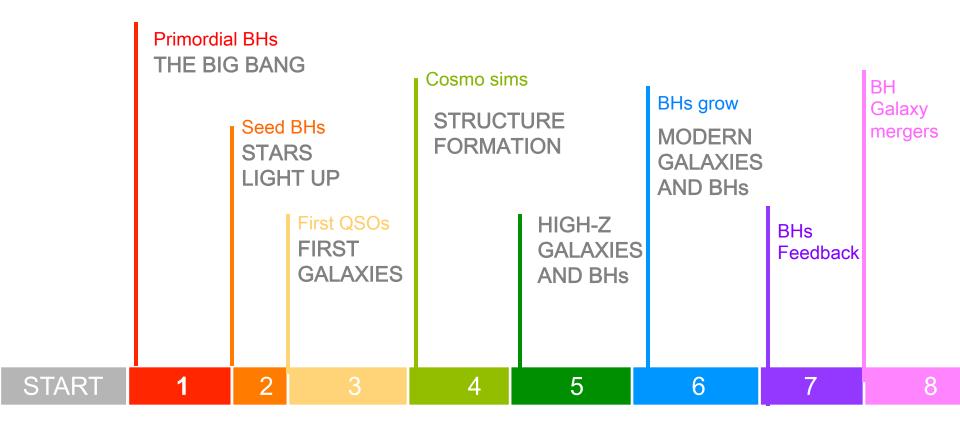
A journey through 13.8 billion years BHs across cosmic history



Primordial Black Holes

THE BIG BANG





INGREDIENTS — CONDITIONS \longrightarrow $M_{BH} \sim 10^{-5} g$

Density Inhomogeneities

@inflation

Only speculate

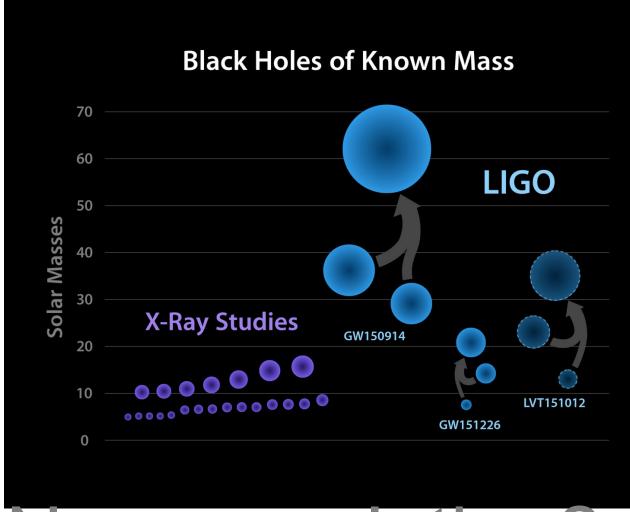
Radiation dominated

Only speculate

Up to All DM

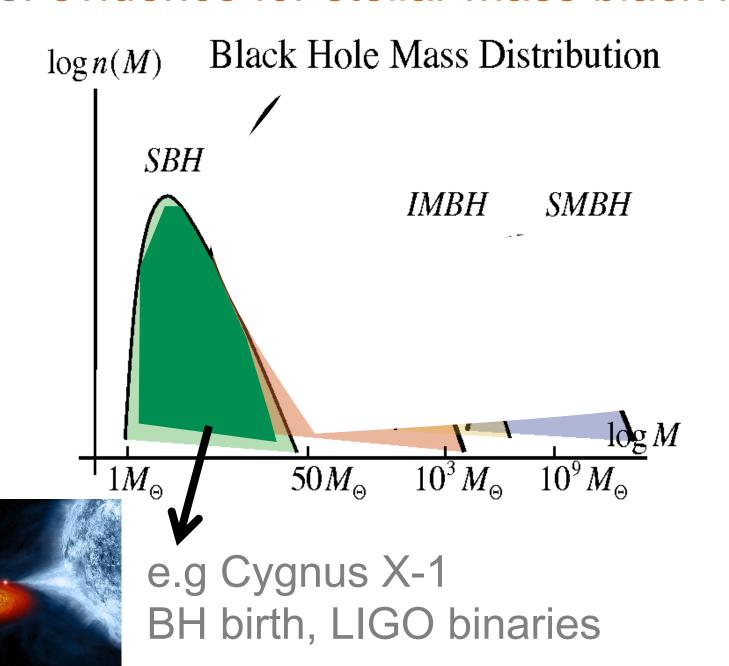
Only speculate

Merging BHs @LIGO

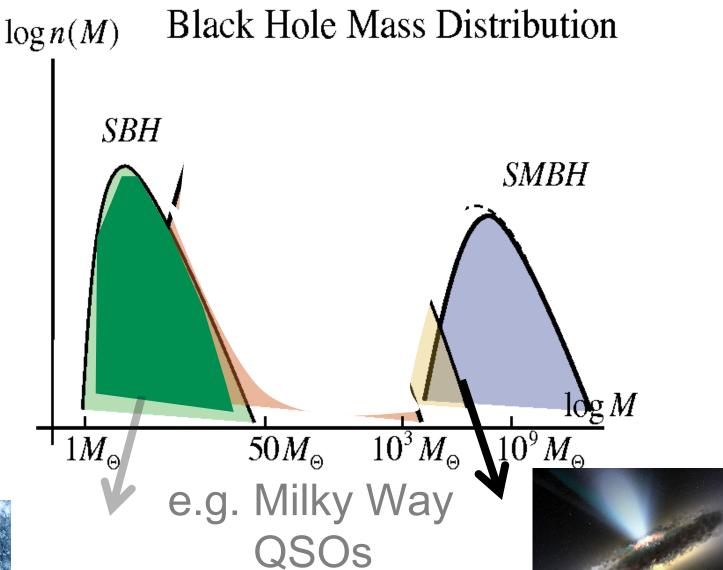


New population?

BHs: evidence for stellar mass black holes



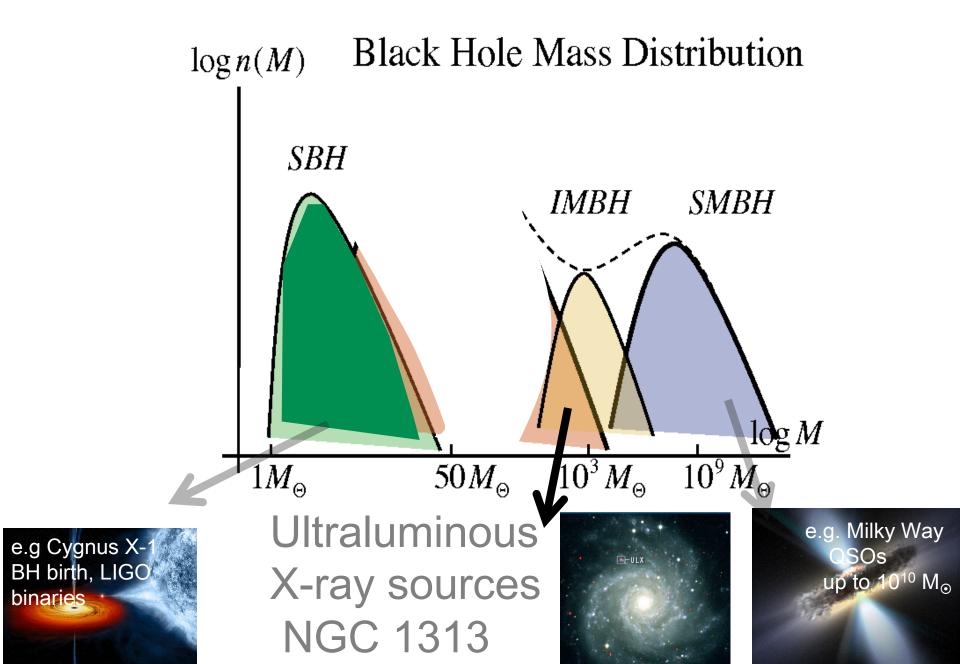
BH: evidence for supermassive black holes



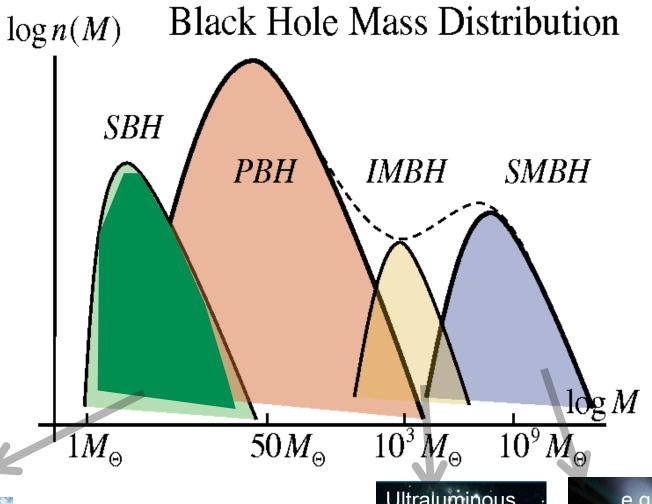
up to 10¹⁰



BH: mild evidence for intermediate black holes



BH: primordial black holes: not yet ruled out



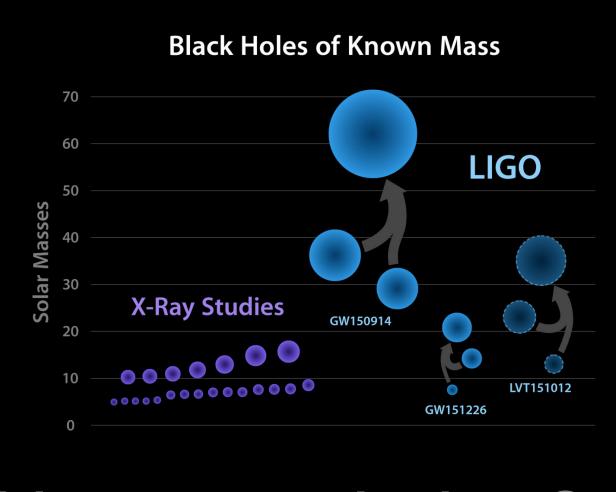




e.g. Milky Way QSOs up to 10¹⁰ M_☉

Merging BHs @LIGO

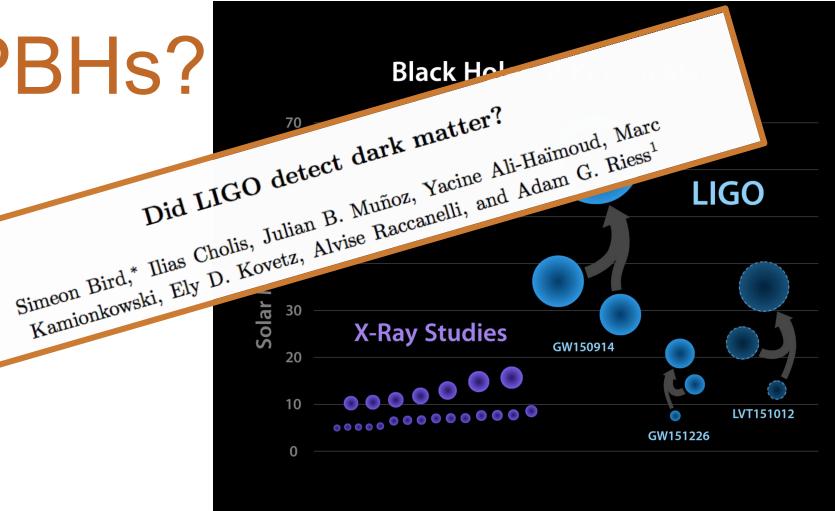
PBHs?



New population?

Merging BHs @LIGO

PBHs?



New population?

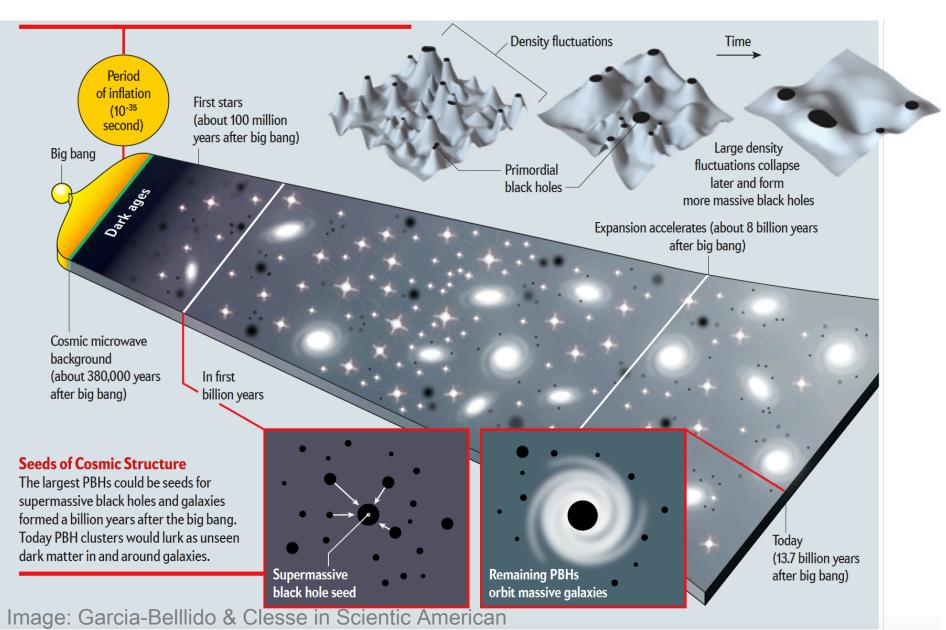


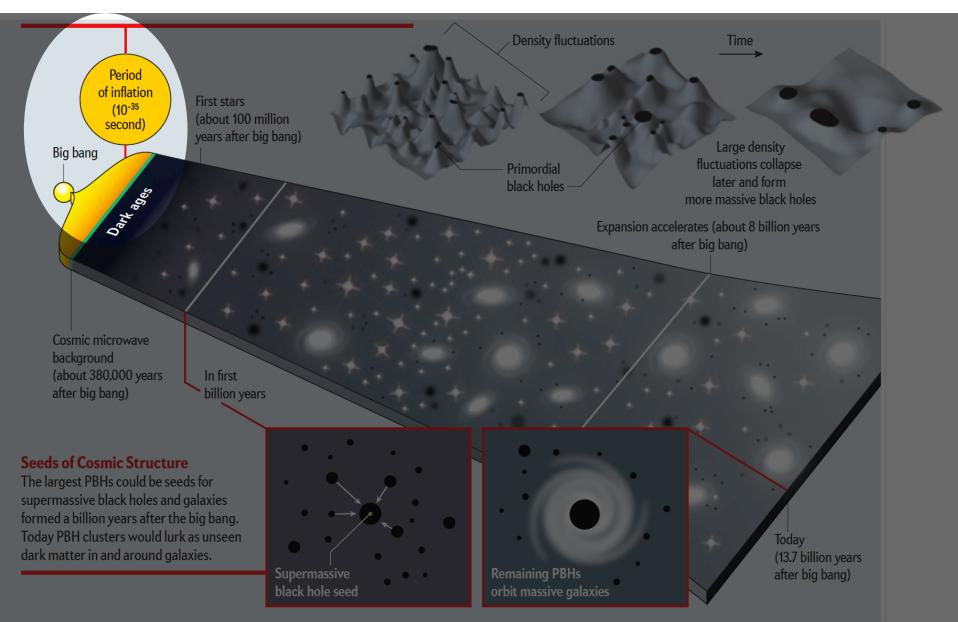
Hawking Radiation

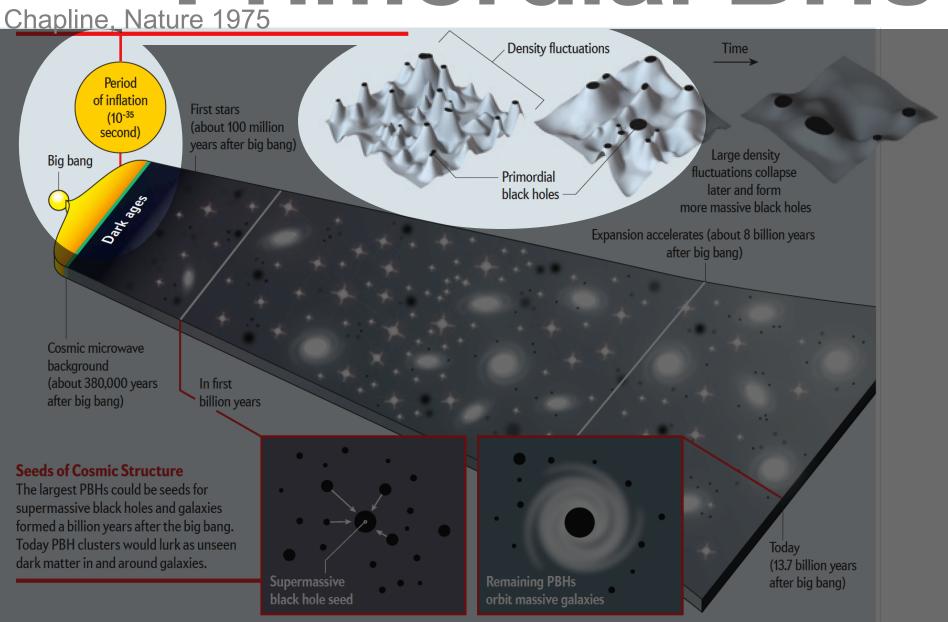
$$T_{BH} \propto \frac{1}{M_{BH}}$$

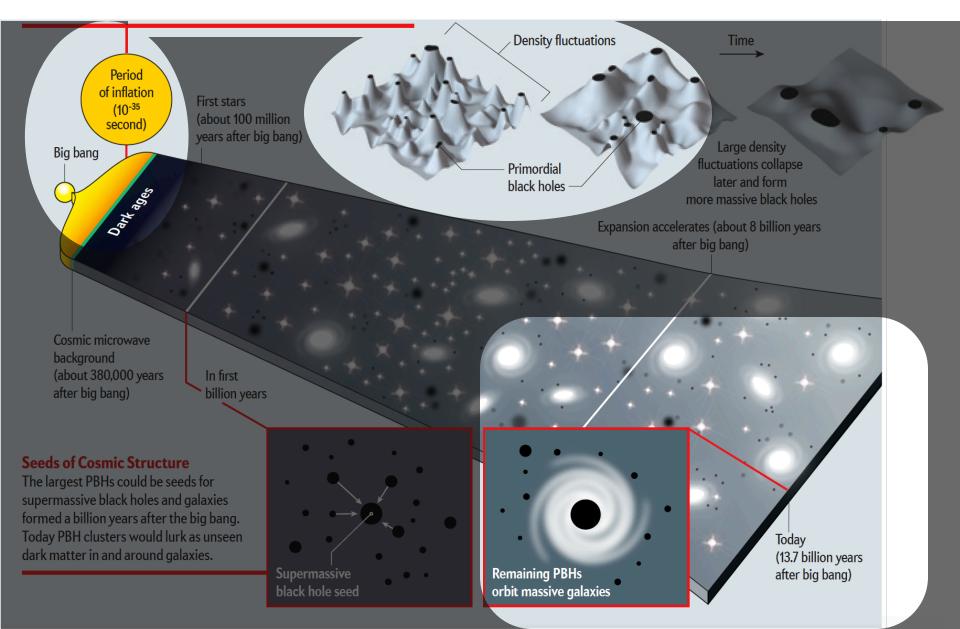
Gravity + thermodynamics = quantum gravity?

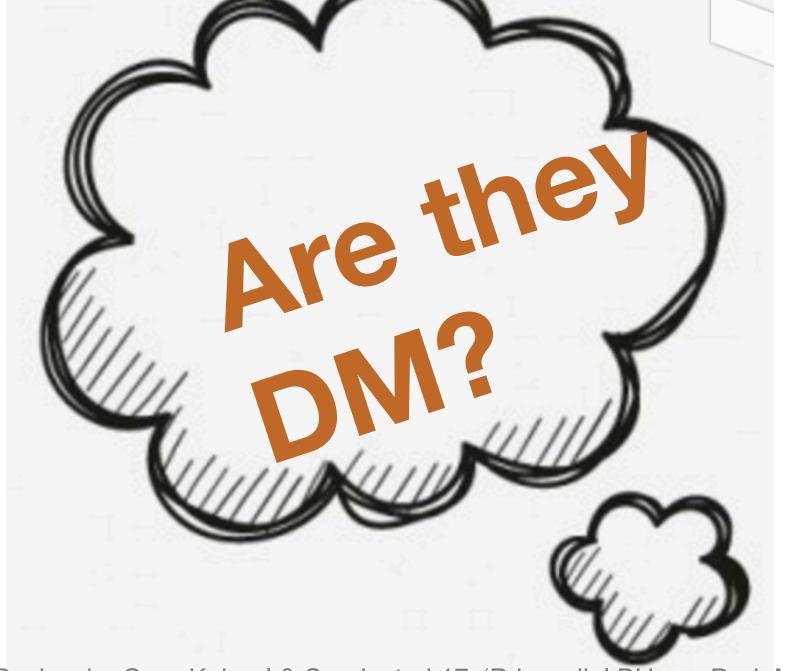
Early Universe that cannot otherwise be probed



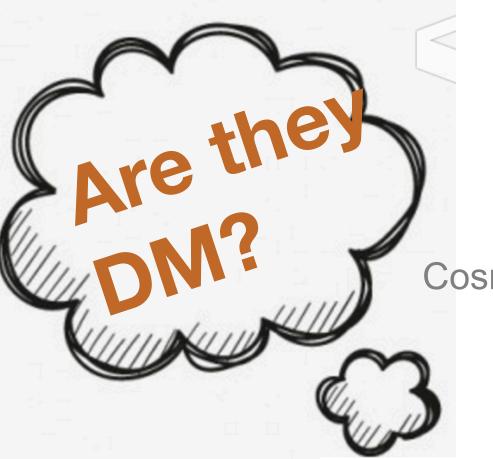








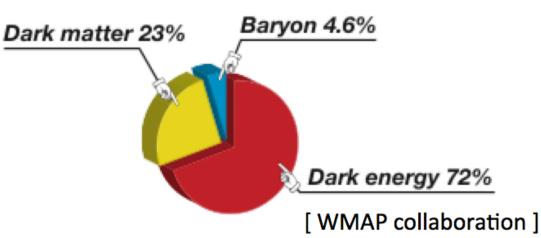
Review by Carr, Kuhnel & Sandastad 17, 'Primordial BHs as Dark Matter'



Cosmic Microwave Background

$$\Omega_{\rm DM} = 0.27$$

30 years and yet no evidence of WIMPS...





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15 NOVEMBER 1996

Density perturbations and black hole formation in hybrid inflation

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David Wands

School of Mathematical Studies, University of Portsmouth, Portsmouth PO1 2EG, United Kingdom

The resulting density inhomogeneities lead to a copious production of black holes.

quantum fluctuations at the time corresponding to the phase transition between the two inflationary stages can

for certain values of parameters these black holes may constitute the dark matter in the Universe.

these models can be made extremely small, but in general it could be sufficiently large to have important cosmological and astrophysical implications. In particular, for certain values of parameters these black holes may constitute the dark matter in the Universe. It is also possible to have hybrid models with two stages of inflation where the black hole production is not suppressed, but where the typical masses of the black holes are very small. Such models lead to a completely different thermal history of the Universe, where postinflationary reheating occurs via black hole evaporation. [S0556-2821(96)00522-X]

PACS number(s): 98.80.Cq

PHYSICAL REVIEW D 92, 023524 (2015)

Massive primordial black holes from hybrid inflation as dark matter and the seeds of galaxies

Sébastien Clesse^{1,*} and Juan García-Bellido^{2,†}

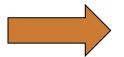
¹Namur Center of Complex Systems (naXys), Department of Mathematics, University of Namur,

These PBHs could have acquired large stellar masses today, via merging, the model passes both the constraints from CMB distortions and microlensing. the tail of the PBH mass distribution could be responsible for the seeds of supermassive black holes at the center of galaxies, as well as for ultraluminous x-ray sources.

Moreover, the tail of the PBH mass distribution could be responsible for the seeds of supermassive black holes at the center of galaxies, as well as for ultraluminous x-ray sources. We find that our effective hybrid potential can originate e.g. from D-term inflation with a Fayet-Iliopoulos term of the order of the Planck scale but sub-Planckian values of the inflaton field. Finally, we discuss the implications of quantum diffusion at the instability point of the potential, able to generate a Swiss-cheese-like structure of the Universe, eventually leading to apparent accelerated cosmic expansion.

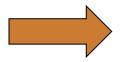
DOI: 10.1103/PhysRevD.92.023524 PACS numbers: 98.80.Cq

$$R_s = 2GM/c^2 = 3 (M/M_{\odot}) \text{ km}$$



 $\rho_{\rm s} = 10^{18} ({\rm M/M_{\odot}})^{-2} {\rm g/cm^3}$

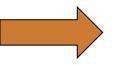
$$R_s = 2GM/c^2 = 3 (M/M_{\odot}) \text{ km}$$

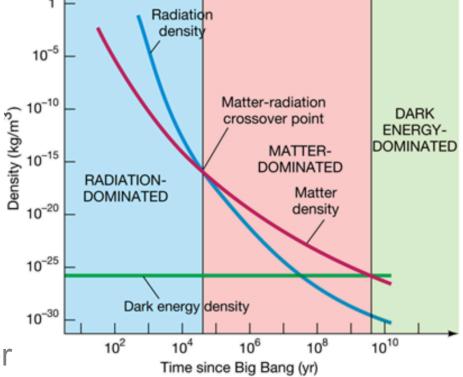


$$\rho_s = 10^{18} (M/M_{\odot})^{-2} g/cm^3$$

Cosmological density:

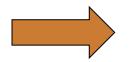
Radiation dominated: $\rho \sim a(t)^{-4}$ $a(t) \sim t^{1/2}$





a(t)=1/(1+z), scale parameter

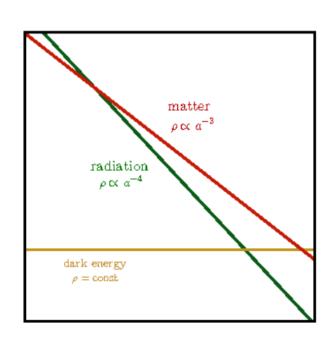
$$R_s = 2GM/c^2 = 3 (M/M_{\odot}) \text{ km}$$

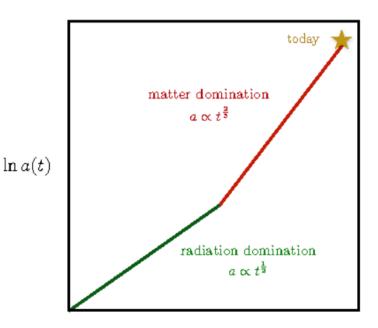


 $\rho_s = 10^{18} (M/M_{\odot})^{-2} g/cm^3$

Cosmolo

Radiation dominated: $\ln \Omega_i$ $\rho \sim a^{-4}$ $a(t) \sim t^{1/2}$

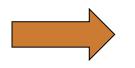




a(t)=1/(1+z), scale parameter

 $\ln t$

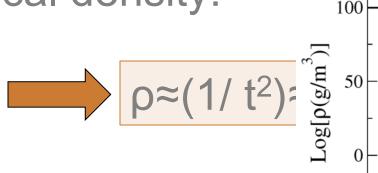
 $R_s = 2GM/c^2 = 3 (M/M_{\odot}) \text{ km}$

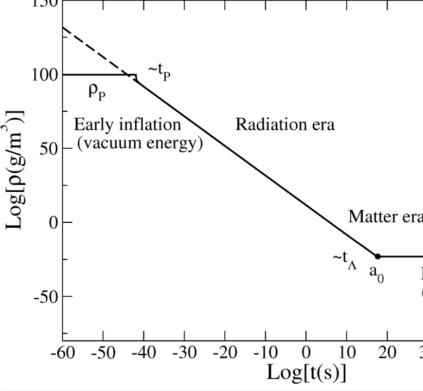


 $\rho_s = 10^{18} (M/M_{\odot})^{-2} g/cm^3$

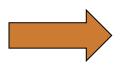
Cosmological density:

Radiation dominated: $\rho \sim a^{-4}$

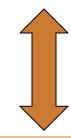




$$R_s = 2GM/c^2 = 3 (M/M_{\odot}) \text{ km}$$

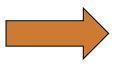


$$\rho_{\rm s} = 10^{18} ({\rm M/M_{\odot}})^{-2} {\rm g/cm^3}$$



Cosmological density:

Radiation dominated: $\rho \sim a^{-4}$ $a(t) \sim t^{1/2}$



 $\rho \approx (1/Gt^2) \approx 10^6 (t/1s)^{-2} g/cm^3$

During rad era $c_s = c/\sqrt{3}$ $R_s \sim R_{ieans} \sim R_h$

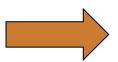
Collapsed relativistic matter: Radiation PBH have horizon mass at time of formation

$$M_{PBH} = c^3t/G =$$

$$10^{-5}g @t = 10^{-43}s (min)$$

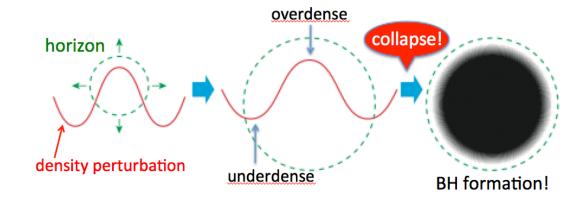
$$10^{15}g t = 10^{-23}s (evap.)$$

$$10^5 M_{\odot} t = 1s (max)$$

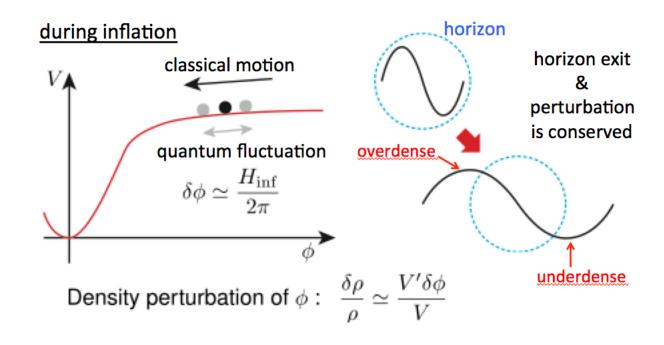


Huge range of masses

need large inhomogeneities to collapse

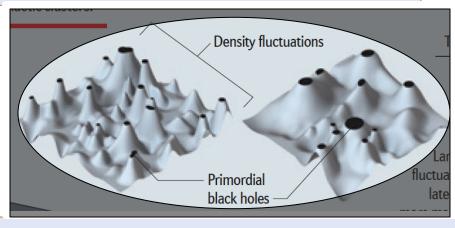


PBH form from primordial inhomogeneities @Inflation



Overdense regions can then stop expanding and recollapse

PBH form from primordial inhomogeneities @Inflation



Form in the quasi-linear regime ($\delta_c > 20-40\%$)

$$M = kM_{H}(\delta - \delta_{c})^{\gamma}$$

Critical collapse rad. era (GR sims)

See Carr, Kuhnel, Sandstadt+17

PBH form from primordial inhomogeneities @Inflation

Other models:

- Pressure reduction/phase transition
- (QCD: 1 M_{sun} or e+-e- annih. $10^5 M_{sun}$) (e.g. Kholopov &Polnarev80,Jedamizid 97)
- Cosmic strings (e.g. Polnarev&Zemboricz88,Hawking 89, Branderberger Wichozki98
- Bubble collisions (e.g.Crawford & Schramm82, La& Steinhardt89)

$$Ω_{PBH} \sim βΩ_r(1+z) \sim βt^{-1/2}$$
given M= c³t/G
$$Ω_{PBH}/Ω_{DM} \sim (M/1M_{\odot})^{-1/2} (β/10^{-9})$$

$$Ω_{PBH} \sim βΩ_r(1+z) \sim βt^{-1/2}$$
given M= c³t/G
$$Ω_{PBH}/Ω_{DM} \sim (M/1M_{\odot})^{-1/2} (β/10^{-9})$$

 β = fraction of mass in the universe in PBHs

$$ΩPBH ~ βΩr(1+z) ~ βt-1/2$$
given M= c³t/G
$$ΩPBH/ΩDM ~ (M/1M☉)-1/2 (β/10-9)$$

 β = fraction of mass in the universe in PBHs Ω_r = 10⁻⁴ density in CMB and Ω_{DM} = 0.27

$$ΩPBH ~ βΩr(1+z) ~ βt-1/2$$
given M= c³t/G
$$ΩPBH/ΩDM ~ (M/1M☉)-1/2 (β/10-9)$$

 β = fraction of mass in the universe in PBHs Ω_r = 10⁻⁴ density in CMB and Ω_{DM} = 0.27 (1+z) \rightarrow radiation ~(1+z)⁴/ matter~(1+z)³

$$Ω_{PBH} \sim βΩ_r(1+z) \sim βt^{-1/2}$$
given M= c³t/G
$$f = Ω_{PBH}/Ω_{DM} \sim (M/1M_{\odot})^{-1/2} (β/10^{-9})$$

 β = fraction of mass in the universe in PBHs Ω_r = 10⁻⁴ density in CMB and Ω_{DM} = 0.27

$$Ω_{PBH} \sim βΩ_r(1+z) \sim βt^{-1/2}$$
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$$f=Ω_{PBH}/Ω_{DM} \sim (M/1M_{\odot})^{-1/2} (β/10^{-9})$$

 β = fraction of mass in the universe in PBHs Ω_r = 10⁻⁴ density in CMB and Ω_{DM} = 0.27

A very small value of β can give all the DM Tiny collapsed fraction during rad. era may produce all the DM

Example:

Take QCD era:

$$t=10^{-5} s$$

$$M_{PBH} \sim M_h \sim 1 M_{\odot}$$

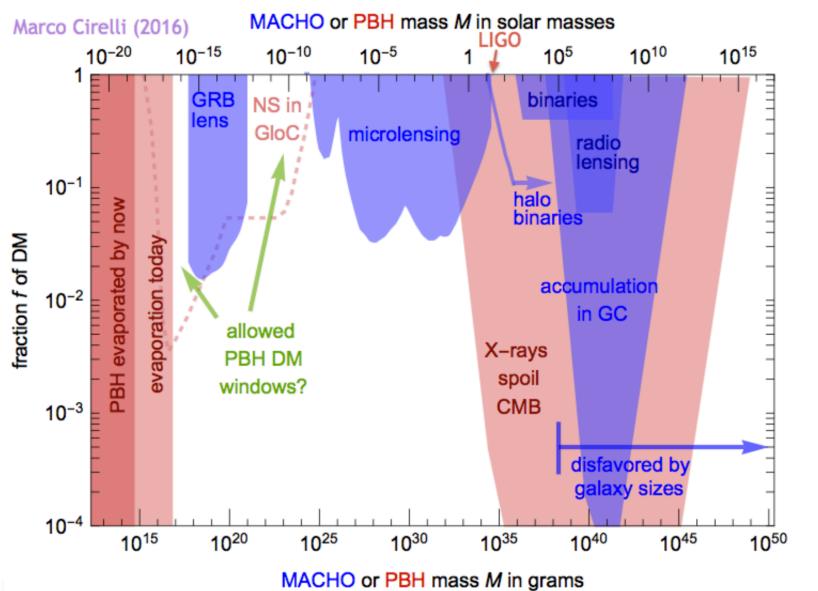
$$\beta = 10^{-9} \rightarrow \Omega_{pbh}/\Omega_{DM} = 1$$

all the DM is made of PBH

Why do we care about PBH

- Physics on scales otherwise inaccessible by observations
- The dark matter can be made of PBH
- Produce MACHO, IMBH, ULX
- Perhaps the seed for SMBHs

See Carr, Kuhnel, Sandstadt+17 and refs



Microlensing:

- Initial MACHO results: observed 17 events and claimed these were consistent with compact objects with mass 0.5 Msun contributing to 20% of halo mass (Alcock et al. 2000)
- Later these constraints revisited by EROS, OGLE etc.. And attributed to self-lensing or clumping of the halo.
- More with Kepler...

Limits on Fig. are from null detections.

Dynamical constraints:

- Unbinding of soft binaries in the halo
- Disk heating and instability
- Stability of tidal streams
- Heating of stars in dwarf gal. (ultra-faint dwarfs)

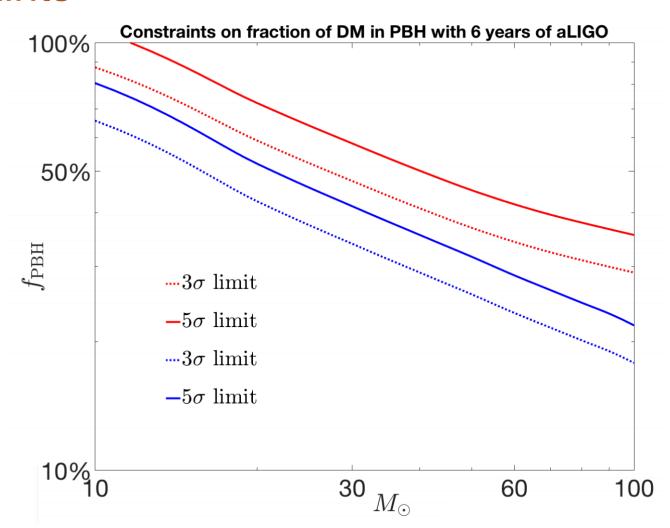
GW constraints

Primordial binaries (Sasaki et al. 16)

Binary formation by capture in mini halos (Bird et al.16, Kovetz17)

GW constraints

Binary formation by capture in mini halos (Bird et al.16, Kovetz17)



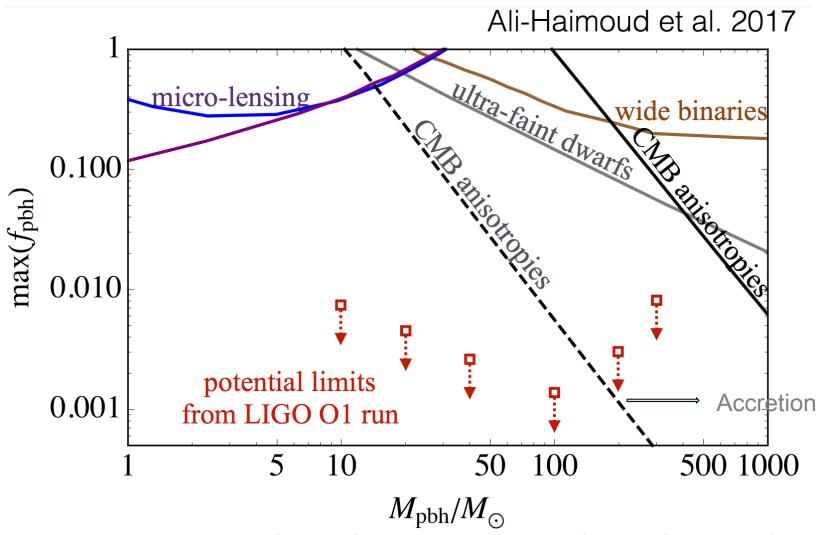


FIG. 7. Potential upper bounds on the fraction of dark matter I n PBHs as a function of their mass (red arrows). These bounds need to confirmed by numerical simulations. For comparison we also show the microlensing limits from the EROS [21] (purple) and MACHO [20] (blue) collaborations limits from wide Galactic binaries [22], ultrafaint dwarf galaxies [25], and CMB anisotropies [24].

SURVEY MONKEY I:

https://www.surveymonkey.com/r/MSVVHXK