

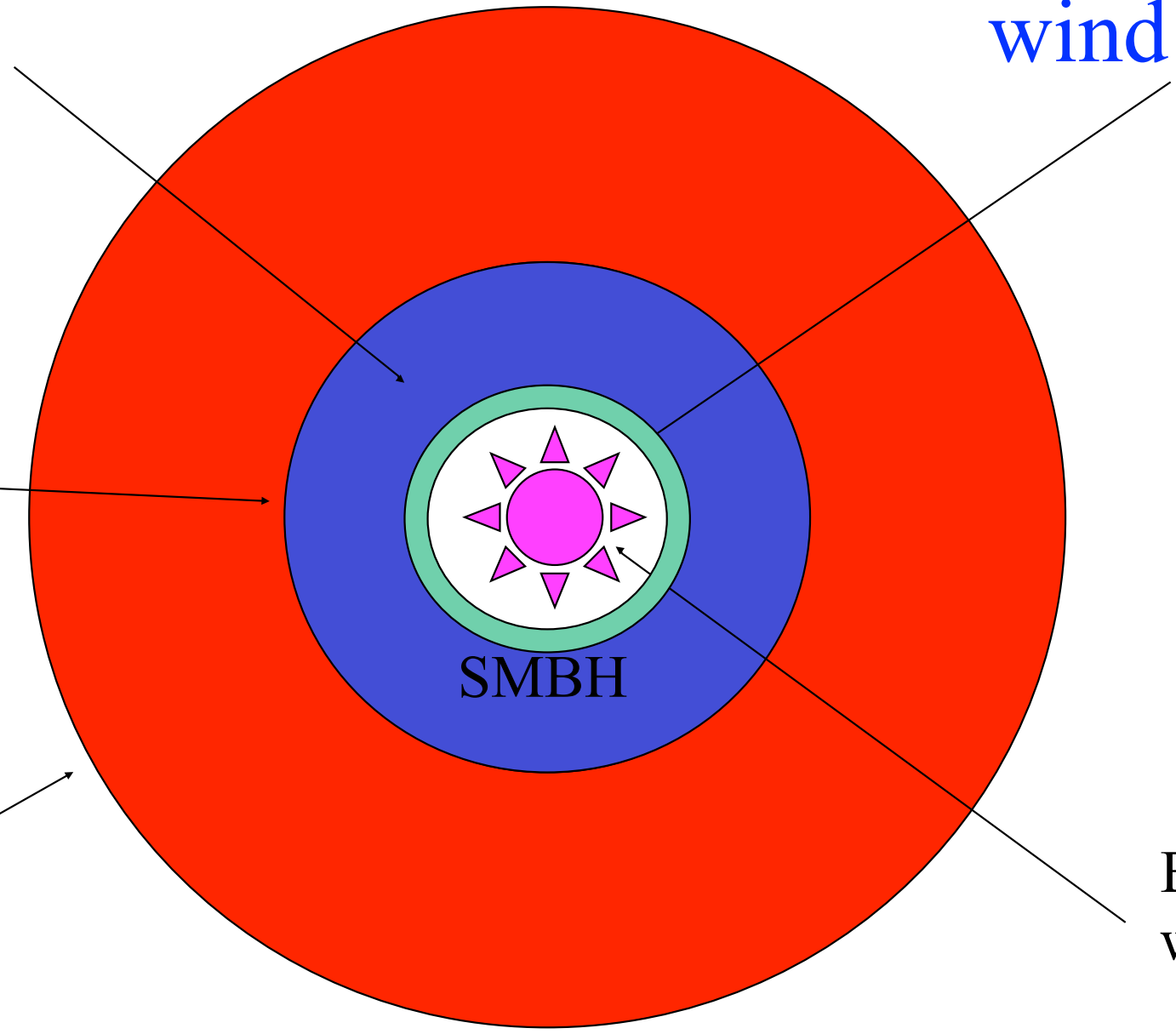
swept-up ambient gas, mildly shocked

wind shock

outer shock
driven into
ambient gas

ambient gas

Eddington
wind,
 $v \sim 0.1c$



wind shock

electrons (and ions) reach energies $E \simeq 9m_p v^2 / 16$ in the wind shock

hotter ($T \sim 10^{11}$ K) than the quasar radiation field ($T \sim 10^7$ K)

Compton cooling time is

$$t_C = \frac{3m_e c}{8\pi\sigma_T U_{\text{rad}}} \frac{m_e c^2}{E}$$

where

$$U_{\text{rad}} = \frac{L_{\text{Edd}}}{4\pi R^2 c b}$$

is the radiation intensity of the quasar

thus $t_C = \frac{2}{3} \frac{cR^2}{GM} \left(\frac{m_e}{m_p}\right)^2 \left(\frac{c}{v}\right)^2 b \simeq 10^5 R_{\text{kpc}}^2 \left(\frac{c}{v}\right)^2 b M_8^{-1} \text{ yr} :$

this is shorter than the shock travel time $t_{\text{shock}} \sim R/\dot{R}_s \sim R/\sigma$

for shock radii

$$R < R_C \sim 0.5 \frac{M_8}{\sigma_{200}} \text{ kpc}$$

two-fluid effects (electrons cooler than ions) can decrease R_C to as little as 20 pc - but still larger than SMBH influence radius R_{inf}

initial expansion into bulge gas is driven by momentum $\frac{L_{\text{Edd}}}{c}$

strong cooling makes shocked region very narrow ('isothermal')

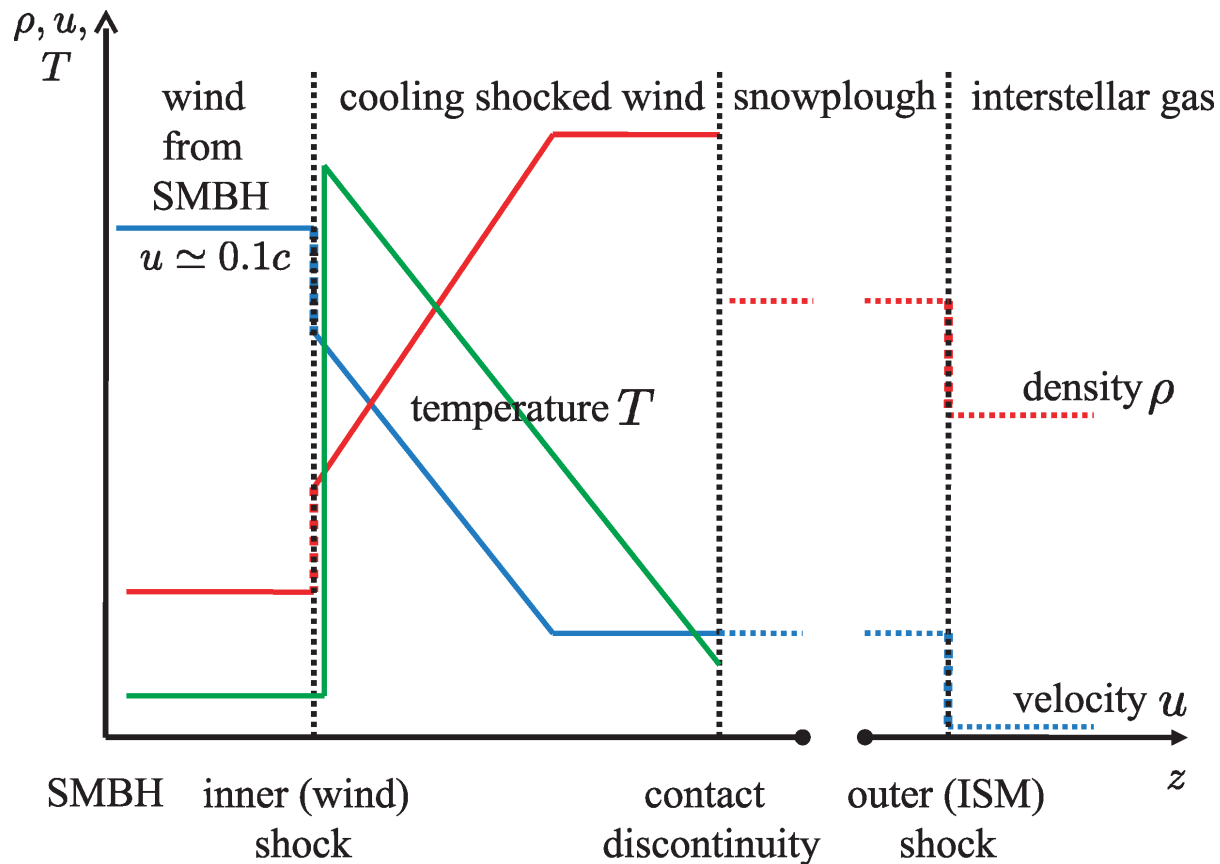


Figure 2. Impact of a wind from an SMBH accreting at a super-Eddington rate on the interstellar gas of the host galaxy: schematic view of the radial dependence of the gas density ρ , velocity u and temperature T . At the inner shock, the gas temperature rises strongly while the wind density and velocity, respectively, increase (decrease) by factors of ~ 4 . Immediately outside this (adiabatic) shock, the strong Compton cooling effect of the quasar radiation severely reduces the temperature, and slows and compresses the wind gas still further. This cooling region is very narrow compared with the shock radius (see Fig. 1), and may be observable through the inverse Compton continuum and lower excitation emission lines. The shocked wind sweeps up the host ISM as a ‘snowplough’. This is more extended than the cooling region (cf. Fig. 1), and itself drives an outer shock into the ambient ISM

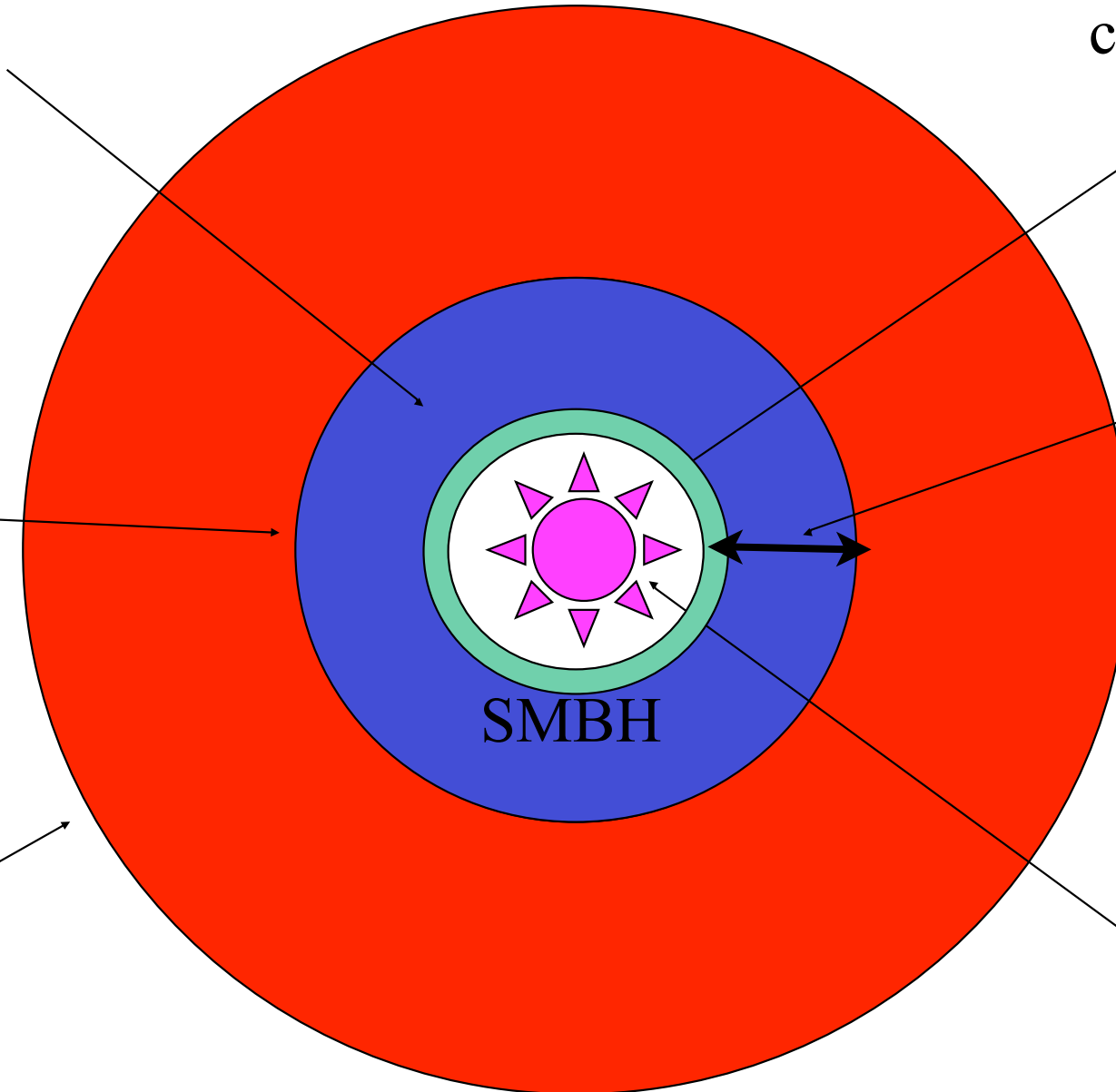
swept-up ambient gas, mildly shocked

cooling shocked
wind

swept-up
shell

outer shock
driven into
ambient gas

ambient gas



Eddington
wind,
 $v \sim 0.1c$

bulge mass distribution

- typical bulge (formed by mergers) has

$$\rho(r) = \frac{\sigma^2}{2\pi G r^2}$$

$\sigma = \text{constant}$ is velocity dispersion: 'isothermal distribution'

- cumulative mass inside radius R is

$$M(R) = 4\pi \int_0^R \rho(r) r^2 dr = \frac{2\sigma^2 R}{G}$$

- most of this mass is stars: with *gas fraction* f_g (~ 0.1) the gas has

$$\rho_g(r) = \frac{f_g \sigma^2}{2\pi G r^2} \quad \text{and} \quad M_g(R) = \frac{2f_g \sigma^2 R}{G}$$

motion of swept-up shell

total mass (dark, stars, gas) **inside radius R** of unperturbed bulge is

$$M_{\text{tot}}(R) = \frac{2\sigma^2 R}{G}$$

but **swept-up gas mass** $M(R) = \frac{2f_g\sigma^2 R}{G}$

forces on shell are gravity of mass within R , and wind ram pressure:
since gas fraction f_g is small, gravitating mass inside R
is $\simeq M_{\text{tot}}(R)$: equation of motion of shell is

$$\frac{d}{dt}[M(R)\dot{R}] + \frac{GM(R)[M + M_{\text{tot}}(R)]}{R^2} = 4\pi R^2 \rho v^2 = \dot{M}_{\text{out}} v = \frac{L_{\text{Edd}}}{c}$$

where M is the black hole mass

using $M(R)$, $M_{\text{tot}}(R)$ this reduces to

$$\frac{d}{dt}(R\dot{R}) + \frac{GM}{R} = -2\sigma^2 \left[1 - \frac{M}{M_\sigma} \right]$$

where

$$M_\sigma = \frac{f_g \kappa}{\pi G^2} \sigma^4$$

integrate equation of motion by multiplying through by $R\dot{R}$: then

$$R^2 \dot{R}^2 = -2GMR - 2\sigma^2 \left[1 - \frac{M}{M_\sigma} \right] R^2 + \text{constant}$$

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if $M < M_\sigma$, no solution at large R (rhs < 0)

Eddington thrust too small to lift swept-up shell

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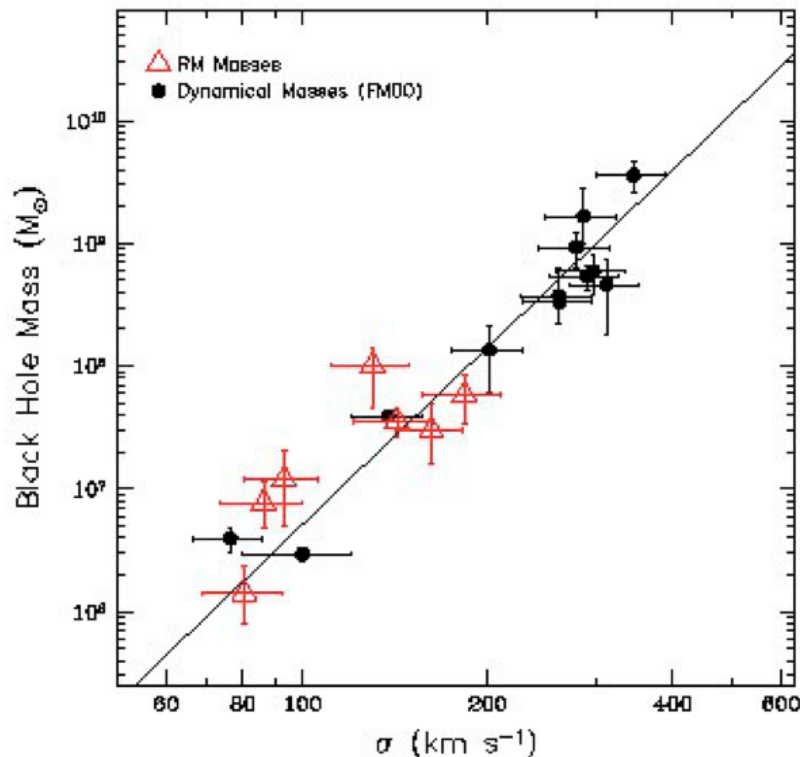
Eddington thrust too small to lift swept-up shell

but if $M > M_\sigma$, $\dot{R}^2 \rightarrow 2\sigma^2$, and shell can be expelled completely

critical value

$$M_\sigma = \frac{f_g \kappa}{\pi G^2} \sigma^4 \simeq 2 \times 10^8 M_\odot \sigma_{200}^4$$

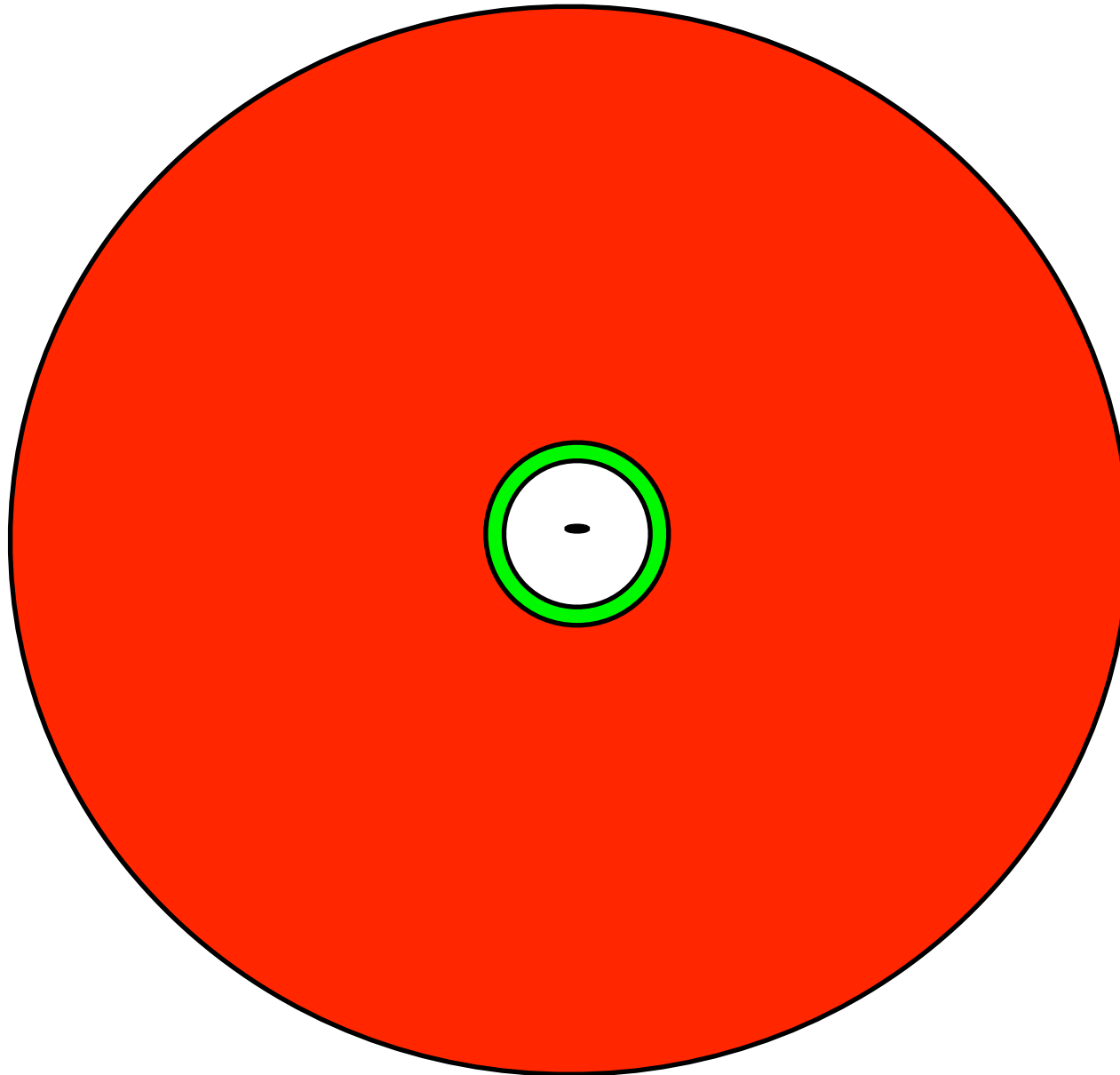
remarkably close to observed $M - \sigma$ relation despite effectively no free parameter ($f_g \sim 0.1$) (King, 2003; 2005)



SMBH mass grows until
Eddington thrust expels gas feeding it

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shells confined to vicinity
of BH until $M = M_\sigma$



UFO winds are episodic

X-ray absorption through wind measures column density

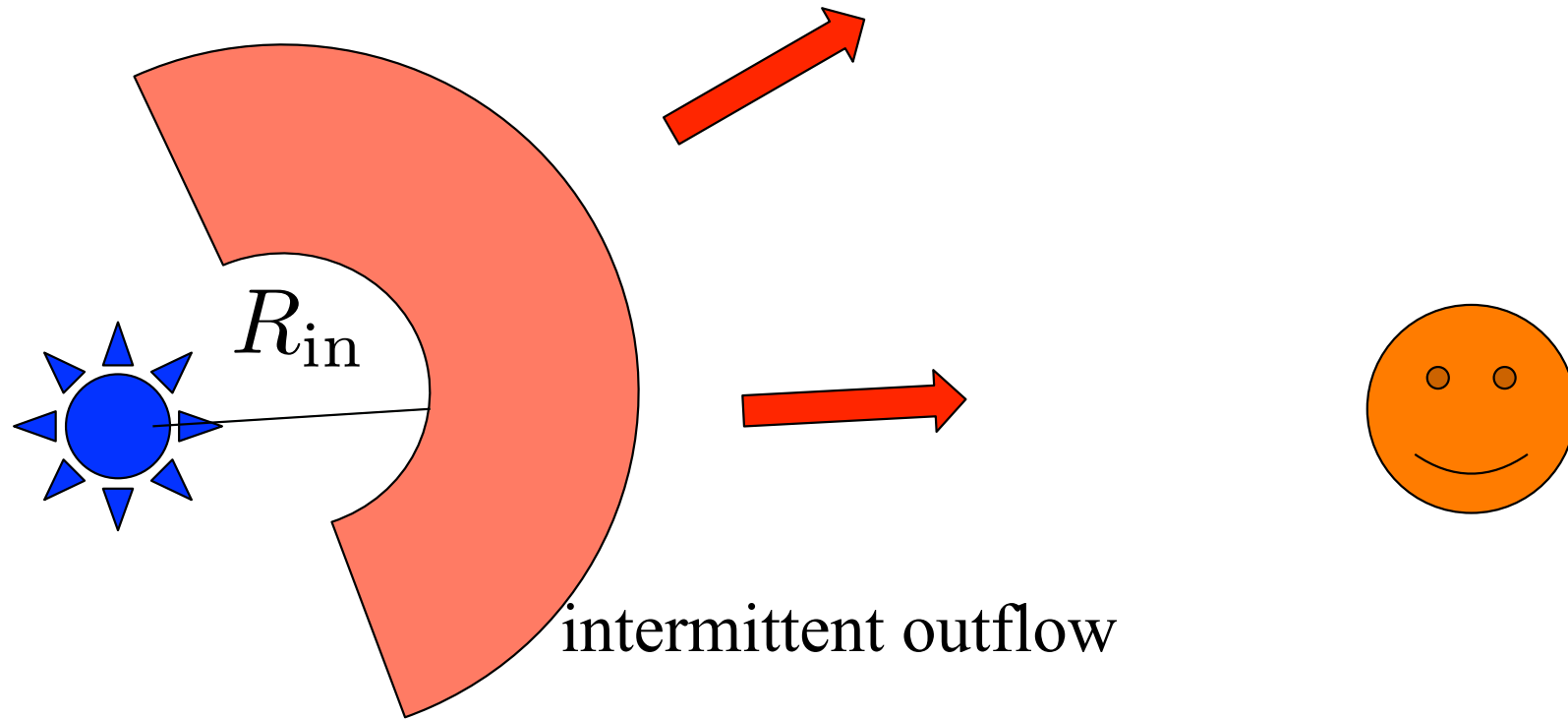
$$N_H = \int \frac{\rho}{m_p} dr = \int_{R_{\text{in}}}^{\infty} \frac{\dot{M}_{\text{out}}}{4\pi m_p r^2 v} dr$$

so

$$N_H = \frac{\dot{M}_{\text{out}}}{4\pi m_p R_{\text{in}} v}$$

but $R_{\text{in}} = vt$, where t is time since wind switched off
a full Eddington wind from vicinity of SMBH has Thomson
optical depth of order 1, so that $N_H \simeq 10^{24} \text{ cm}^{-2}$

a smaller column => **inner edge of wind is further from SMBH:**



observed X—ray column fixed by inner boundary of flow R_{in}

$$N_H = \frac{GM}{bv^2 R_{\text{in}} \sigma_T}, \text{ using } \dot{M}_{\text{out}} v = L_{\text{Edd}}/c$$

so if outflow stopped a time $t_{\text{off}} = R_{\text{in}}/v$ ago, we have

$$t_{\text{off}} = \frac{GM}{bv^3 N_H \sigma_T} \simeq 0.25 \frac{M_8}{v_{0.1}^3 N_{23} b} \text{ yr} \quad \textit{recent!}$$

transition to energy-driven flow once M_σ reached

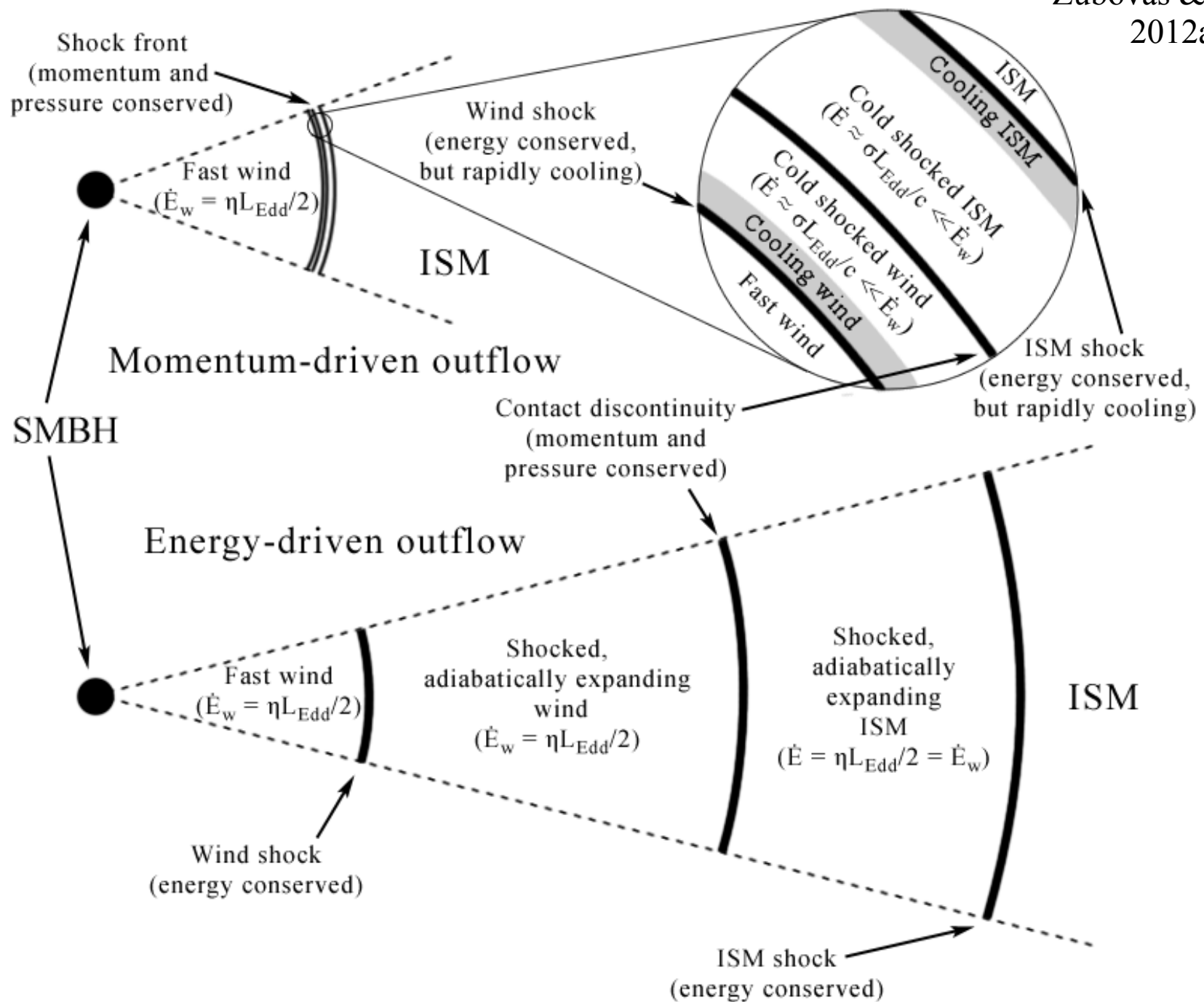
close to quasar shocked gas cooled by inverse Compton effect
(momentum-driven flow)

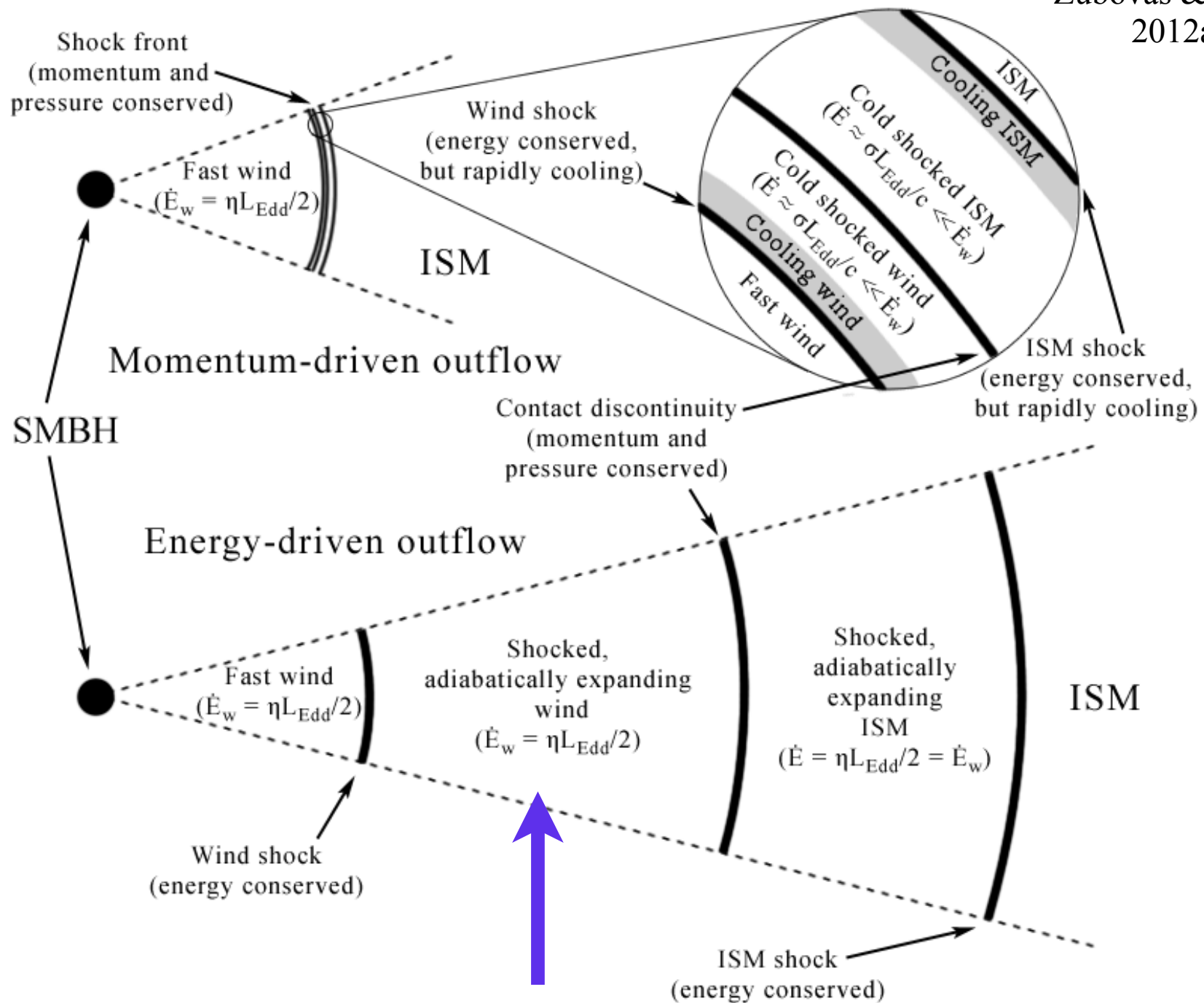
but once $M > M_\sigma$, R can exceed R_C : wind shock no longer cools

wind shock is adiabatic: hot postshock gas does PdV work
on surroundings

eqn of motion now contains *total* postshock pressure P (gas plus ram)

wind shock always stays near cooling radius: high sound speed ensures
near-constant pressure in extended region from here to contact
discontinuity (radius R) with swept-up host gas





once BH grows to $M > M_\sigma$, shock passes cooling radius
 \Rightarrow large-scale energy-driven flow

equation of motion of swept-up shell (contact discontinuity) is

$$\frac{d}{dt} \left[M(R) \dot{R} \right] + \frac{GM(R)[M + M_{\text{tot}}(R)]}{R^2} = 4\pi R^2 P$$

energy equation is

$$\frac{d}{dt} [VU] = \frac{1}{2} \dot{M}_{\text{out}} v^2 - P \frac{dV}{dt} - \frac{GM(R)M_{\text{tot}}(R)}{R^2} \dot{R}$$

where

$$V = \frac{4\pi}{3} R^3, \quad U = \frac{3}{2} P, \quad \dot{M}_{\text{out}} v = \frac{L_{\text{Edd}}}{c},$$

$$M(R) = \frac{2f_g \sigma^2 R}{G}, \quad M_{\text{tot}}(R) = \frac{2\sigma^2 R}{G}, \quad v = \eta c$$

using equation of motion to eliminate P from energy equation
finally determines motion of shell at R

$$\frac{\eta}{2} L_{\text{Edd}} = \frac{2f_g \sigma^2}{G} \left\{ \frac{1}{2} R^2 \ddot{R} + 3R\dot{R}\ddot{R} + \frac{3}{2} \dot{R}^3 \right\} + 10f_g \frac{\sigma^4}{G} \dot{R}$$

coasting solution $\dot{R} = v_e = \text{constant}$ has

$$v_e \simeq \left[\frac{2\eta\sigma^2 c}{3f_g} \right]^{1/3} \simeq 925 \sigma_{200}^{2/3} (f_c/f_g)^{1/3} \text{ km s}^{-1}$$

(where SMBH mass M appearing in L_{Edd} is set to M_σ)

(King, 2005)

once quasar driving switches off (i.e. $L_{\text{Edd}} = 0$) at $R = R_0$
the velocity decays as

$$\dot{R}^2 = 3 \left(v_e^2 + \frac{10}{3} \sigma^2 \right) \left(\frac{1}{r^2} - \frac{2}{3r^3} \right) - \frac{10}{3} \sigma^2$$

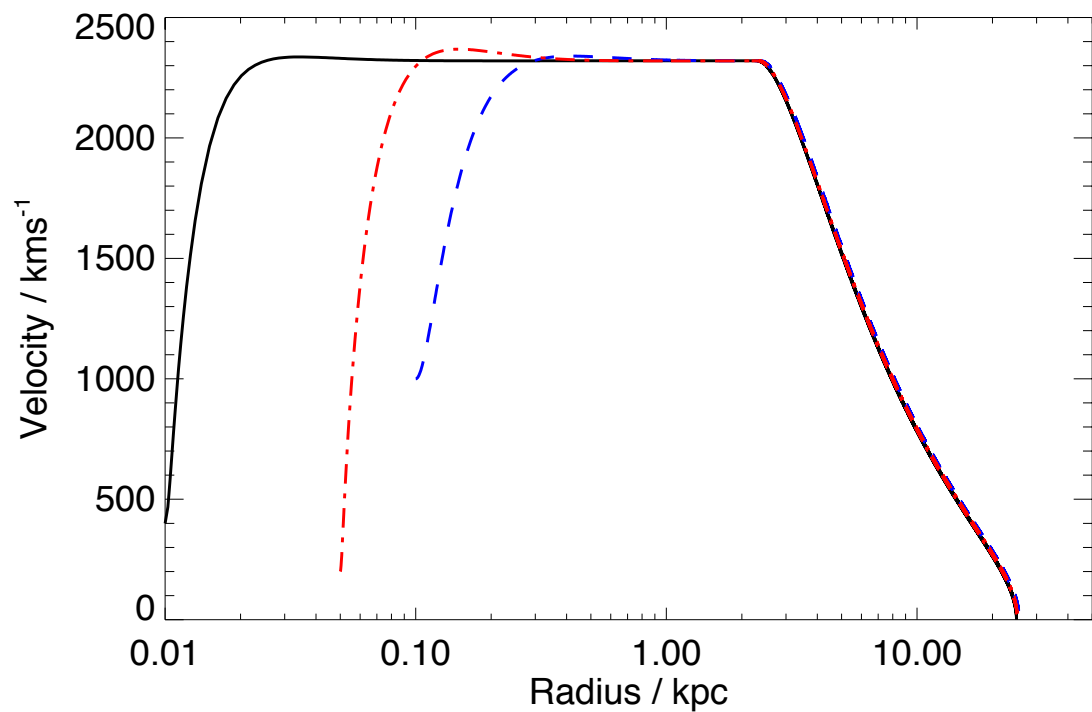
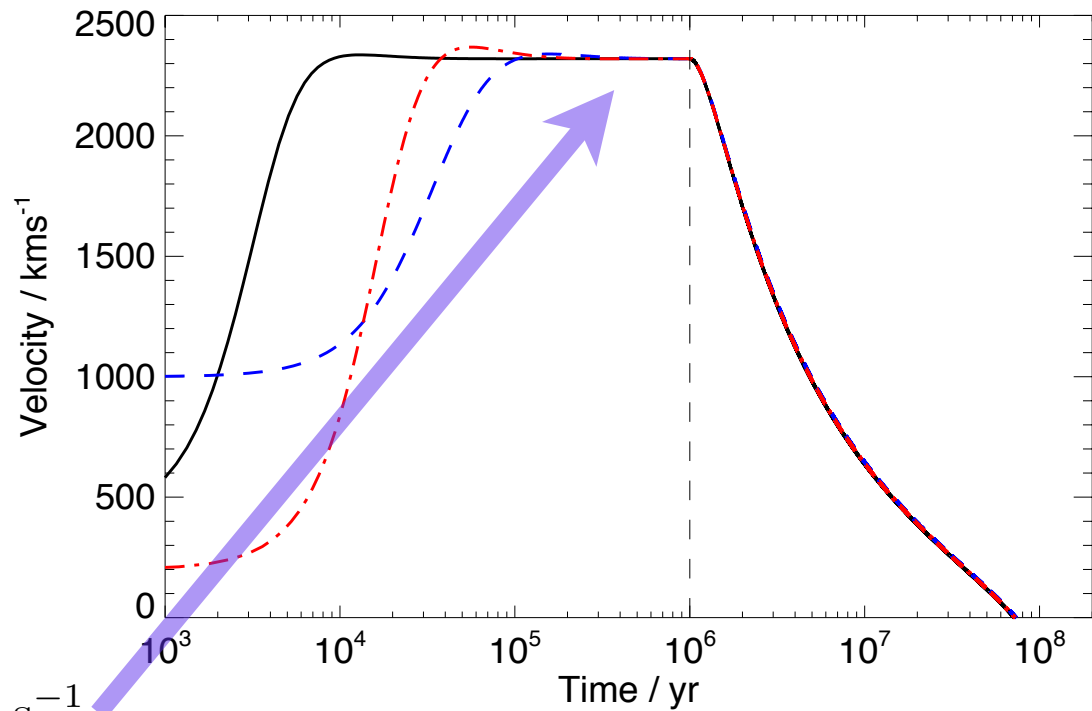
where $r = R/R_0 \geq 1$

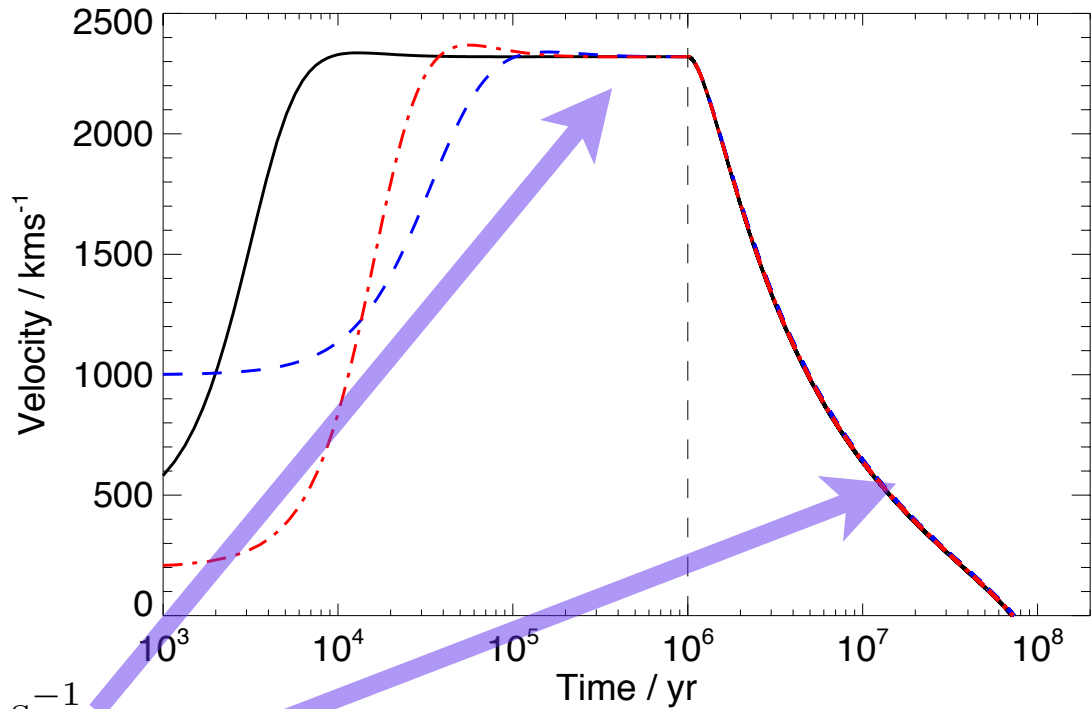
numerical solutions show that coasting + decay are attractors -- all outflows do this

(King, Zubovas & Power, 2011)

energy--driven outflows rapidly converge to

$$v_e \simeq \left[\frac{2\eta f_c}{3f_g} \sigma^2 c \right]^{1/3} \simeq 925 \sigma_{200}^{2/3} (f_c/f_g)^{1/3} \text{ km s}^{-1}$$

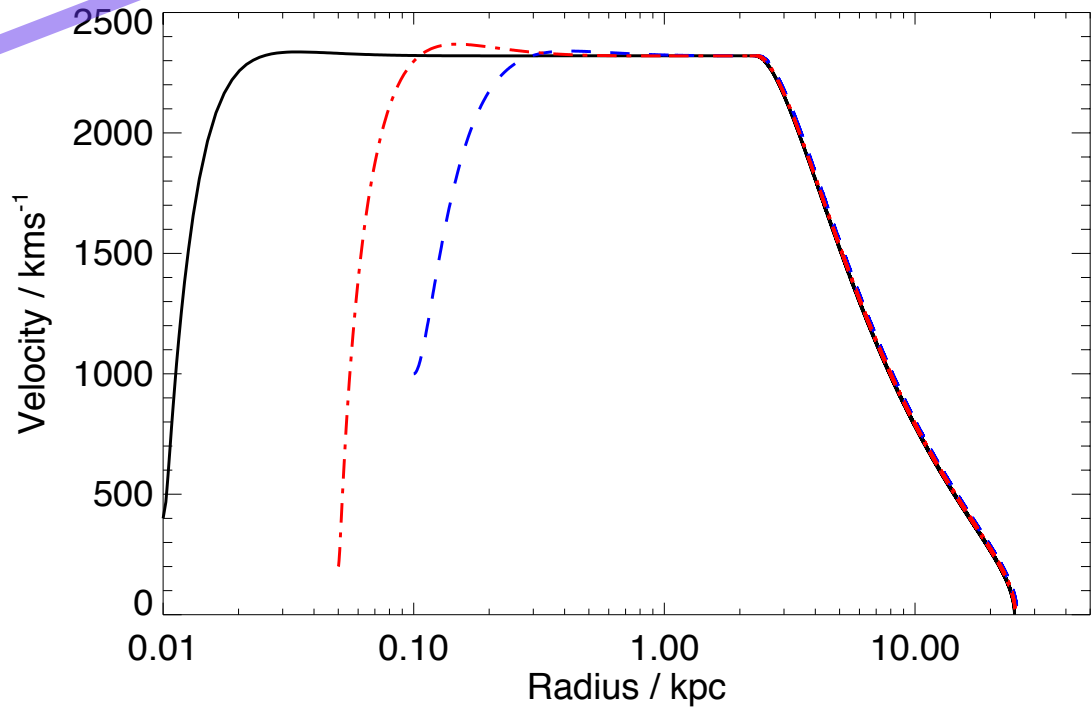


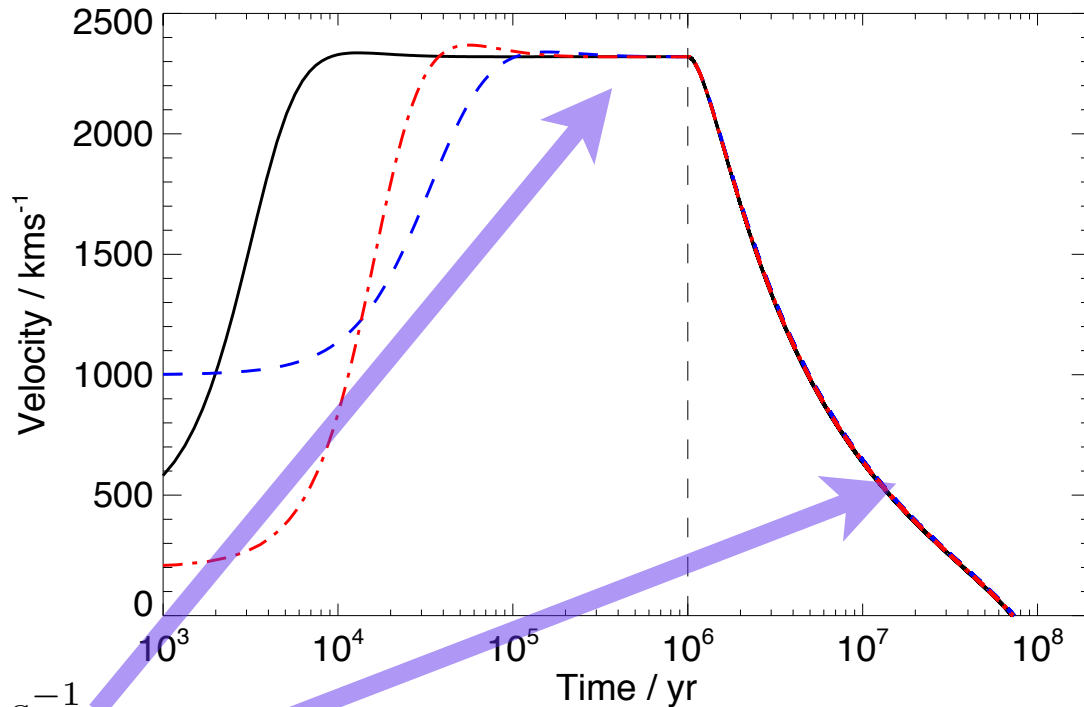


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and persist even after central quasar turns off



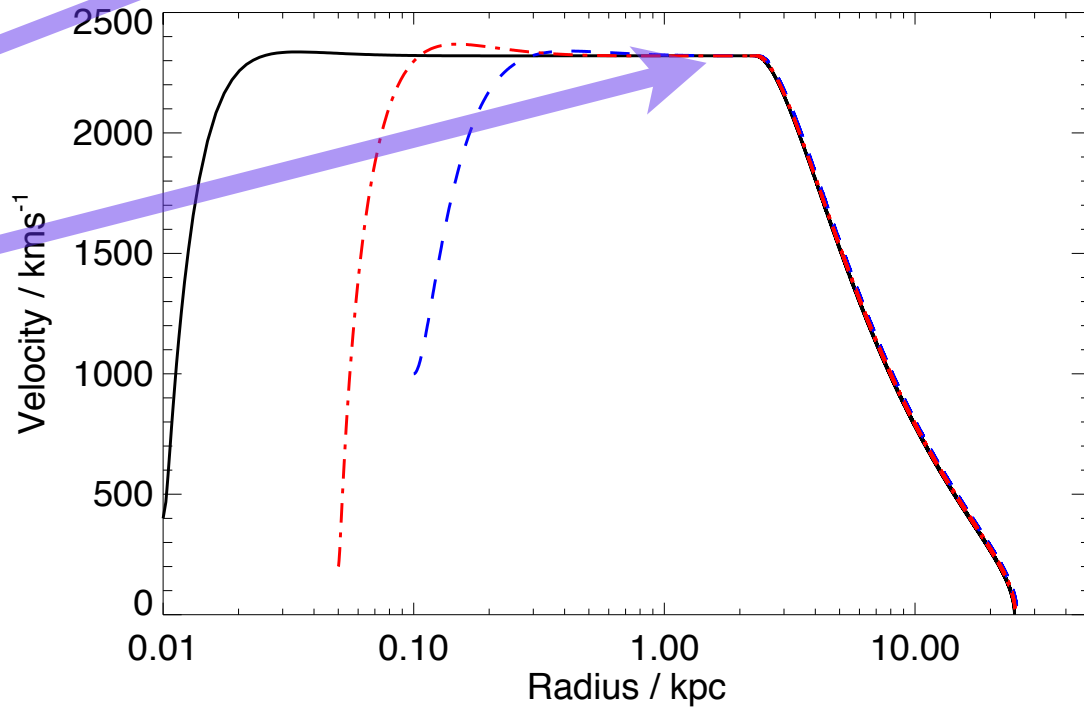


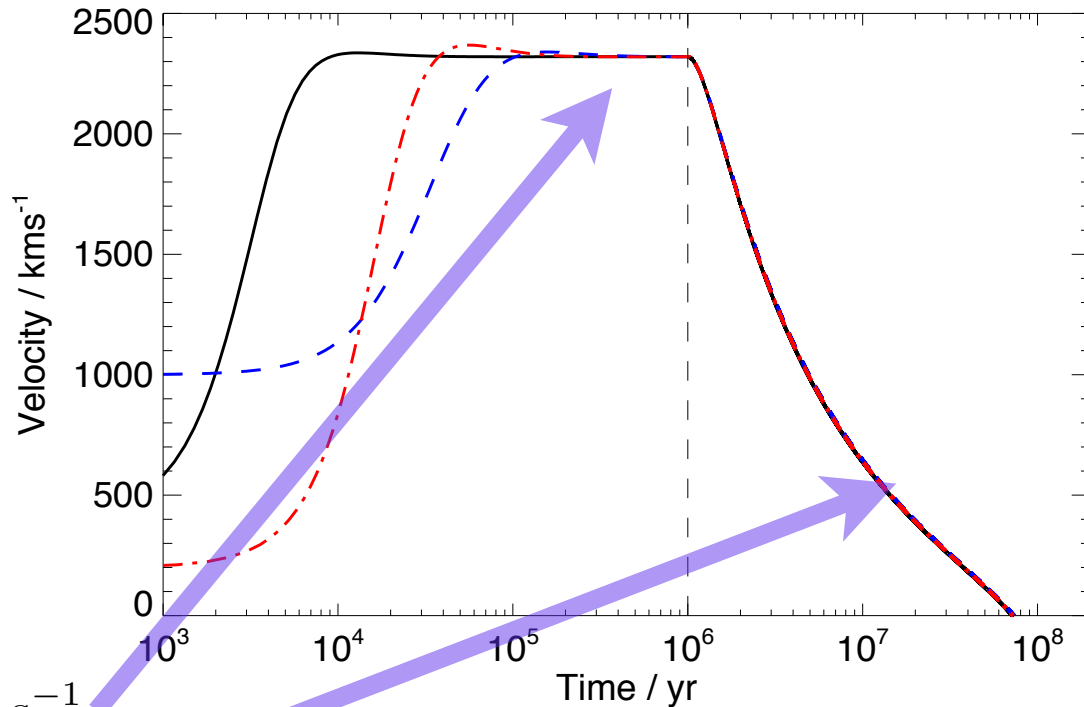
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high velocity outflow at large radius





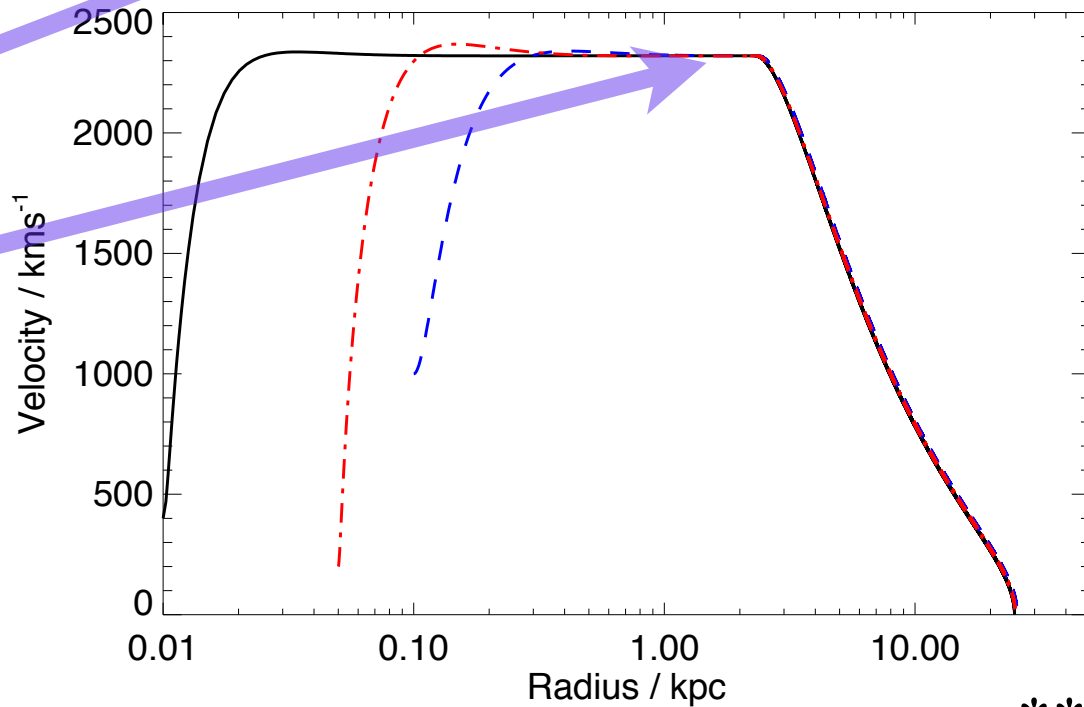
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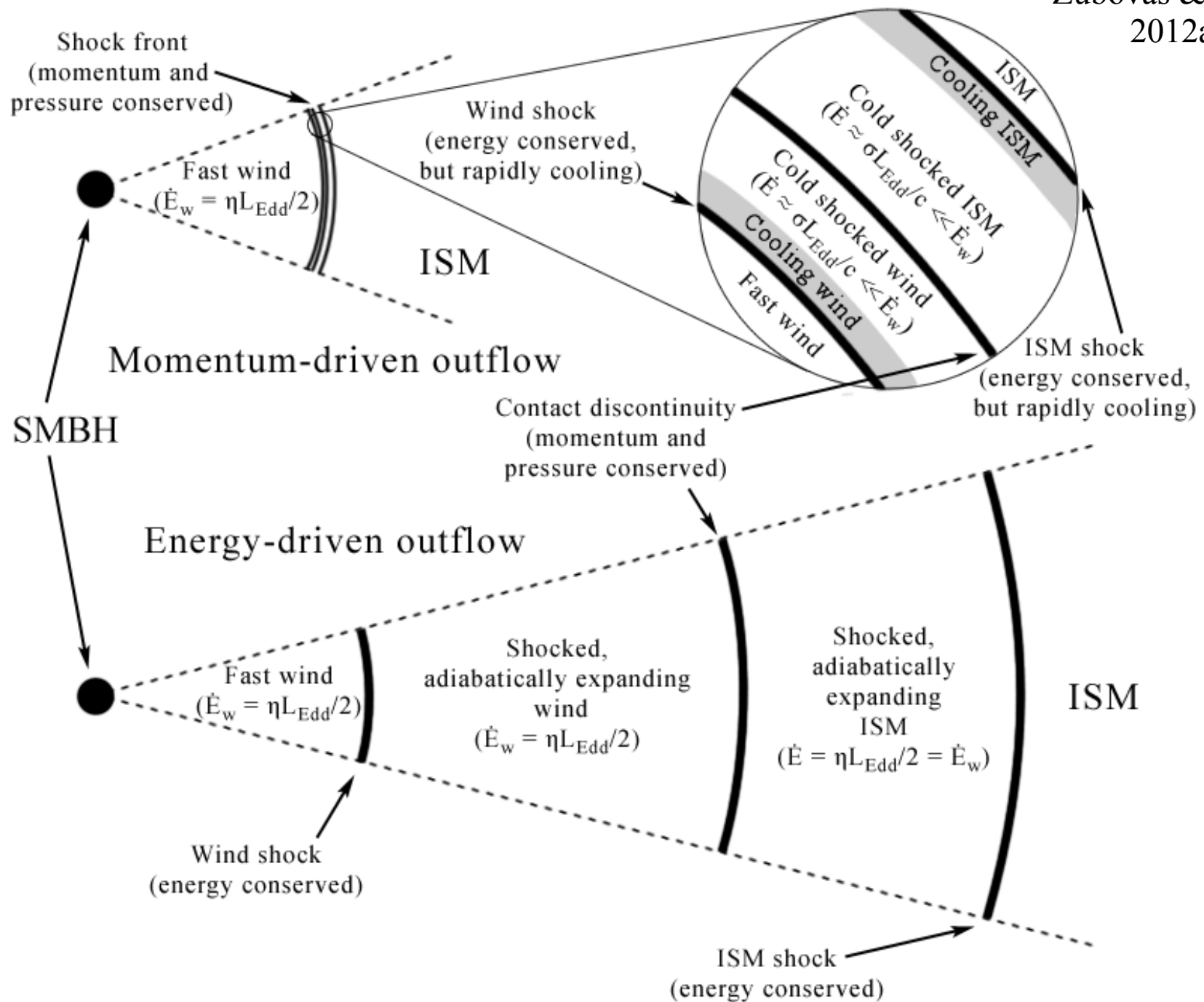
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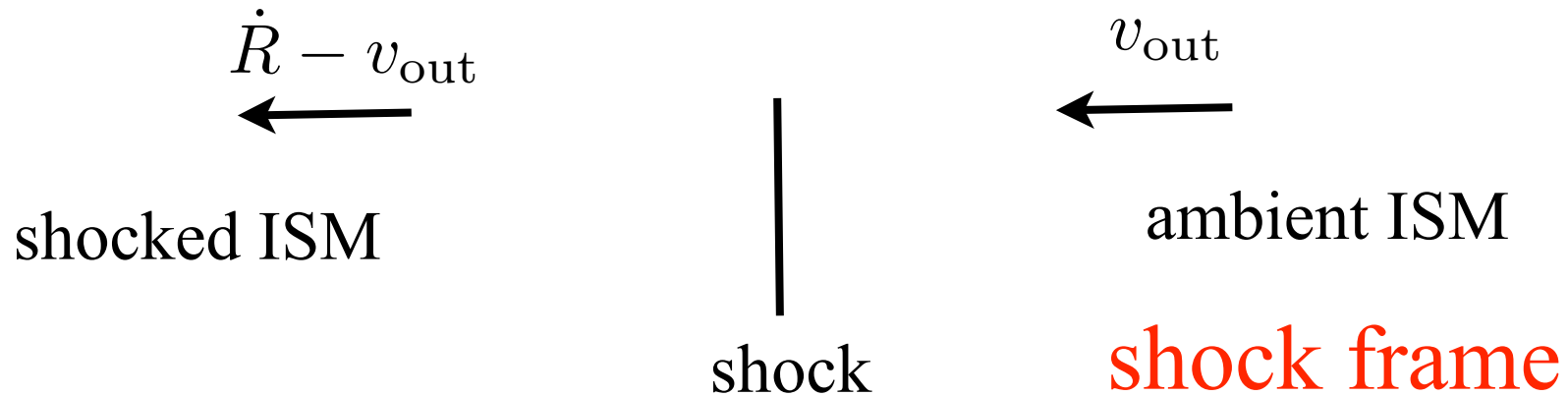
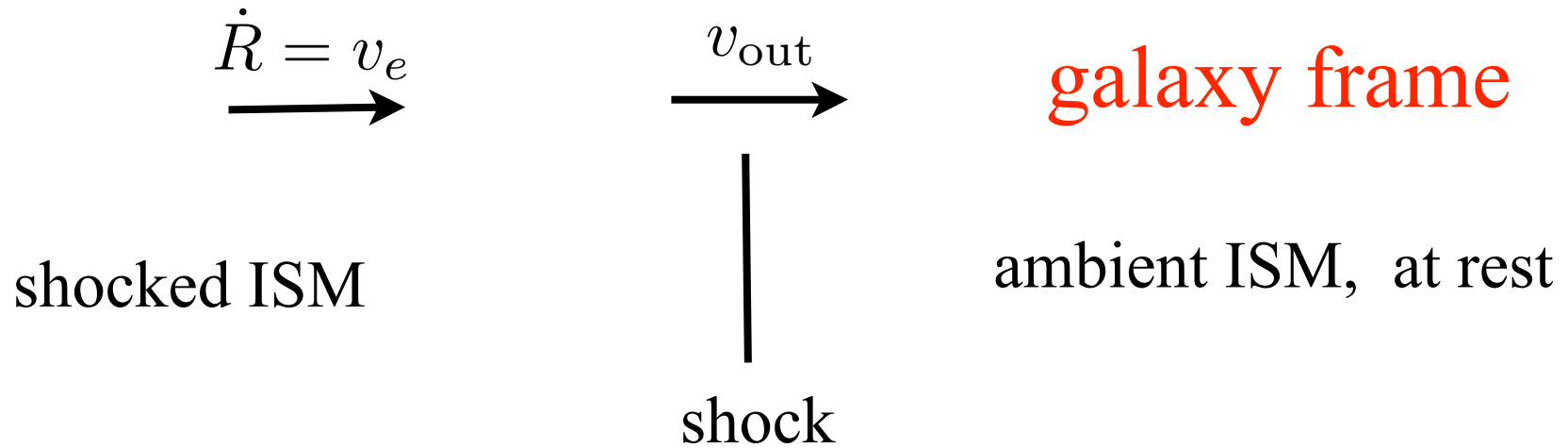
also for other potentials: Zubovas & King, 2012b



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forward shock speed



$$\frac{v_{\text{out}}}{\dot{R} - v_{\text{out}}} = \frac{\gamma + 1}{\gamma - 1} \Rightarrow v_{\text{out}} = \frac{\gamma + 1}{2} \dot{R}$$

outer shock runs ahead of contact discontinuity into ambient ISM: velocity jump across it is a factor $(\gamma + 1)/(\gamma - 1)$: fixes velocity as

$$v_{\text{out}} = \frac{\gamma + 1}{2} \dot{R} \simeq 1230 \sigma_{200}^{2/3} \left(\frac{l f_c}{f_g} \right)^{1/3} \text{ km s}^{-1}$$

and radius as

$$R_{\text{out}} = \frac{\gamma + 1}{2} R$$

outflow rate of shocked interstellar gas is

$$\dot{M}_{\text{out}} = \frac{dM(R_{\text{out}})}{dt} = \frac{(\gamma + 1) f_g \sigma^2}{G} \dot{R}$$

$$\dot{M}_{\text{out}} \simeq 3700 \sigma_{200}^{8/3} l^{1/3} M_{\odot} \text{ yr}^{-1}$$

approximate equality

$$\frac{1}{2}\dot{M}_w v_w^2 \simeq \frac{1}{2}\dot{M}_{\text{out}} v_{\text{out}}^2$$

means swept-up gas must have momentum rate $> L_{\text{Edd}}/c$,
since can rewrite it as

$$\frac{\dot{P}_w^2}{2\dot{M}_w} \simeq \frac{\dot{P}_{\text{out}}^2}{2\dot{M}_{\text{out}}}$$

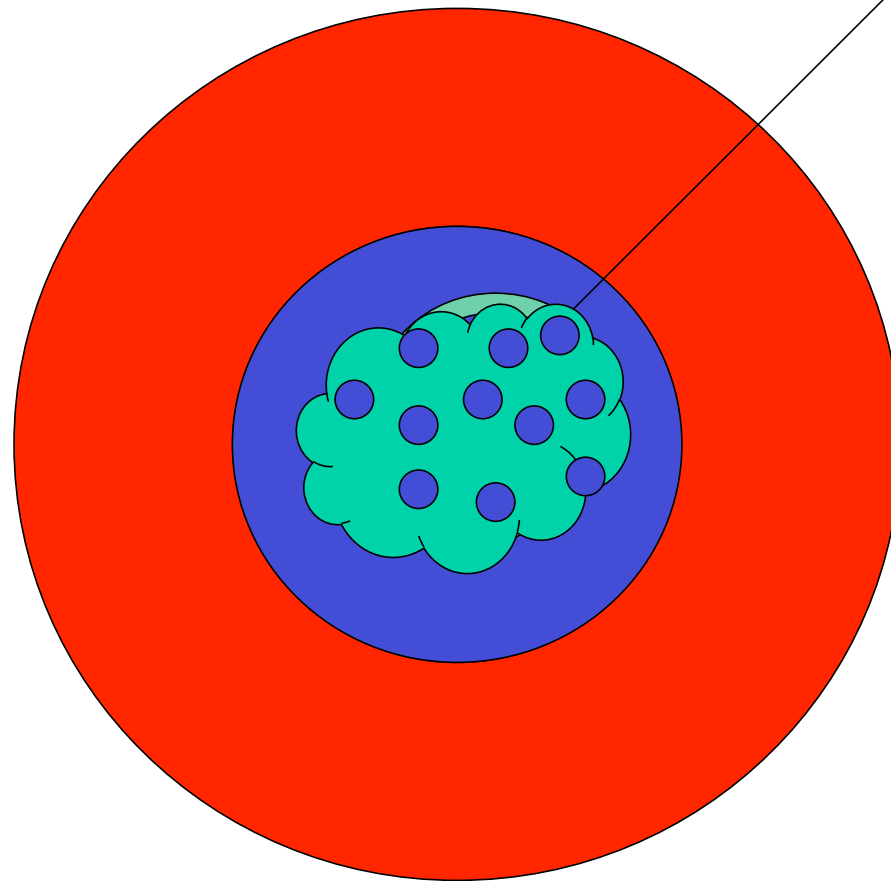
$$\dot{P}_{\text{out}} = \dot{P}_w \left(\frac{\dot{M}_{\text{out}}}{\dot{M}_w} \right)^{1/2} \sim 20\sigma_{200}^{-1/3} l^{1/6} \frac{L_{\text{Edd}}}{c}$$

all molecular outflows have super-Eddington thrust!

(Zubovas & King, 2012a)

galaxy becomes red and dead

density contrast \Rightarrow energy-driven outflow
shock may be *Rayleigh-Taylor unstable*

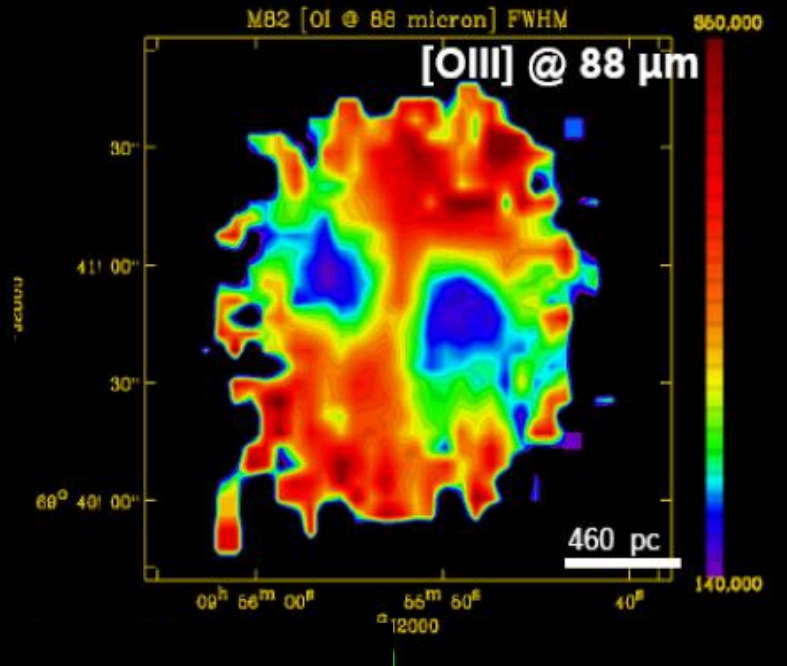
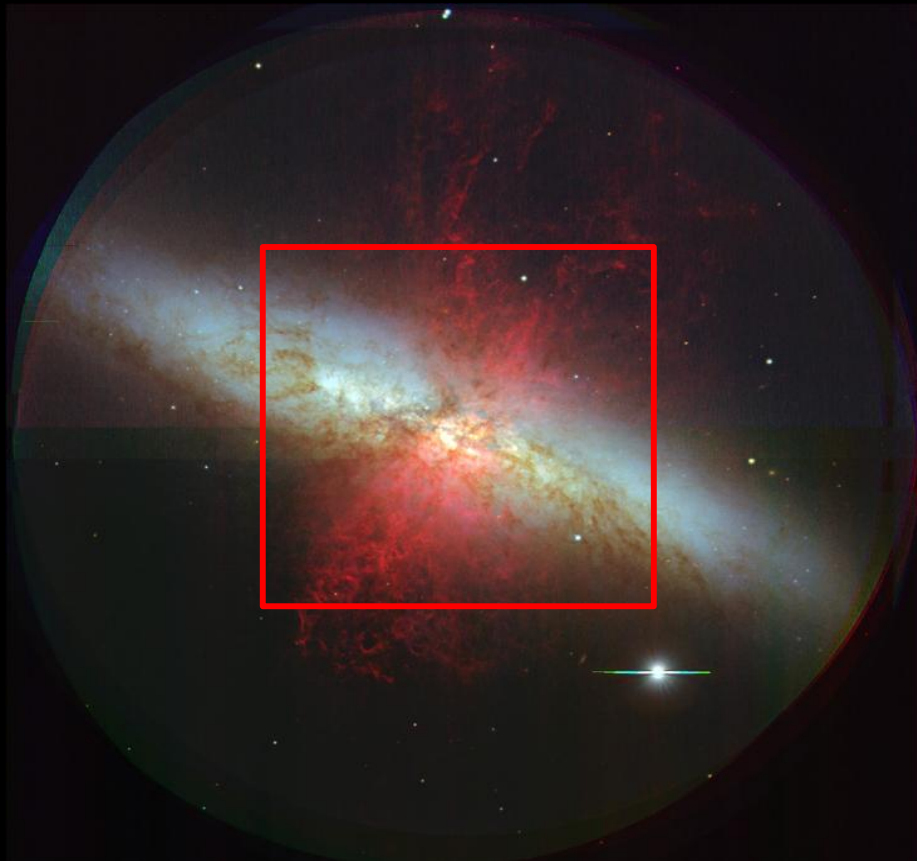


two—phase medium: gamma—rays and molecular emission mixed

large--scale high speed molecular outflows, e.g. Mrk 231:

galaxy bulge should produce gamma-ray emission

M82



Contursi+ 2012

Mkn 231

$$z = 0.042$$

$$L_{\text{IR}} = 3.2 \times 10^{12} L_{\odot} \text{ (70\% AGN)}$$

Type 1 LoBAL AGN

HST, Evans et al 2008

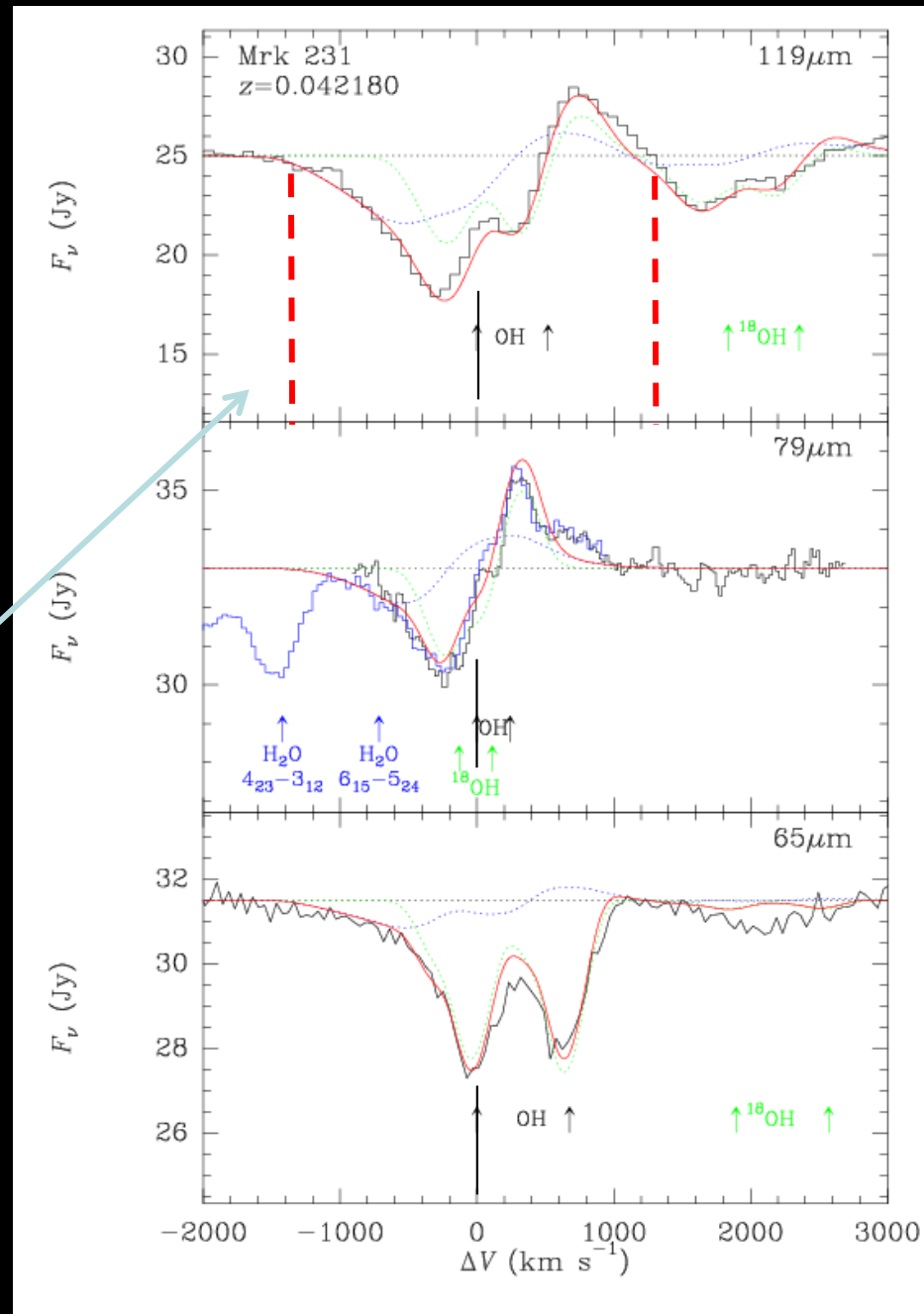
Mrk 231

P-Cygni profile with blue-shifted absorption and red-shifted emission

$\Delta v \sim 1,170 \text{ km/s}$



Fischer + 2010



Mrk 231 – OH Outflow

terminal velocity (obs): $\sim 1.100 \text{ km/s}$

R_{out} (model)

$\sim 1.0 \text{ kpc}$

outflow rate (dM/dt): $\sim 1.200 M_{\odot}/\text{yr}$

SFR: $\sim 100 M_{\odot}/\text{yr}$

gas mass (from CO): $4.2 \times 10^9 M_{\odot}$

depletion time scale (M_{gas}/\dot{M}): $\sim 4 \times 10^6 \text{ yr}$

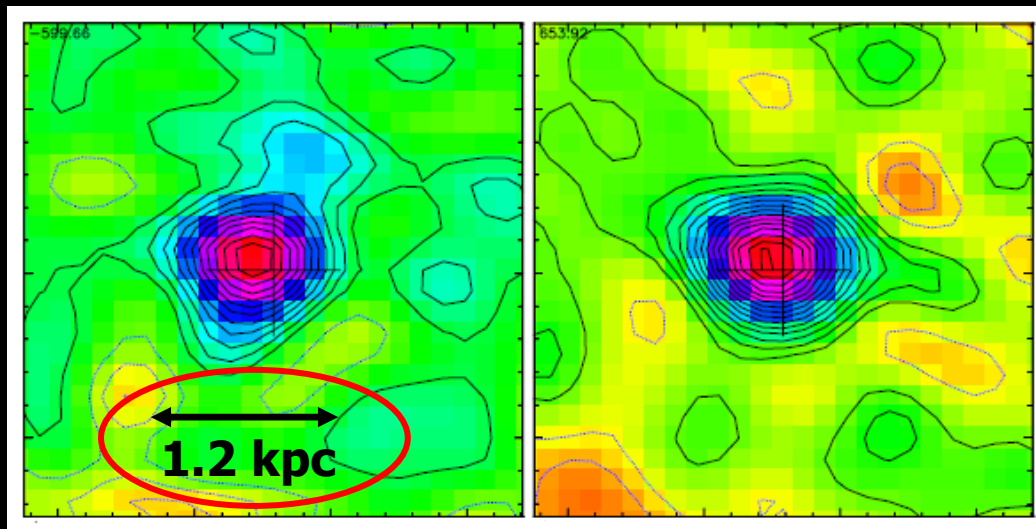
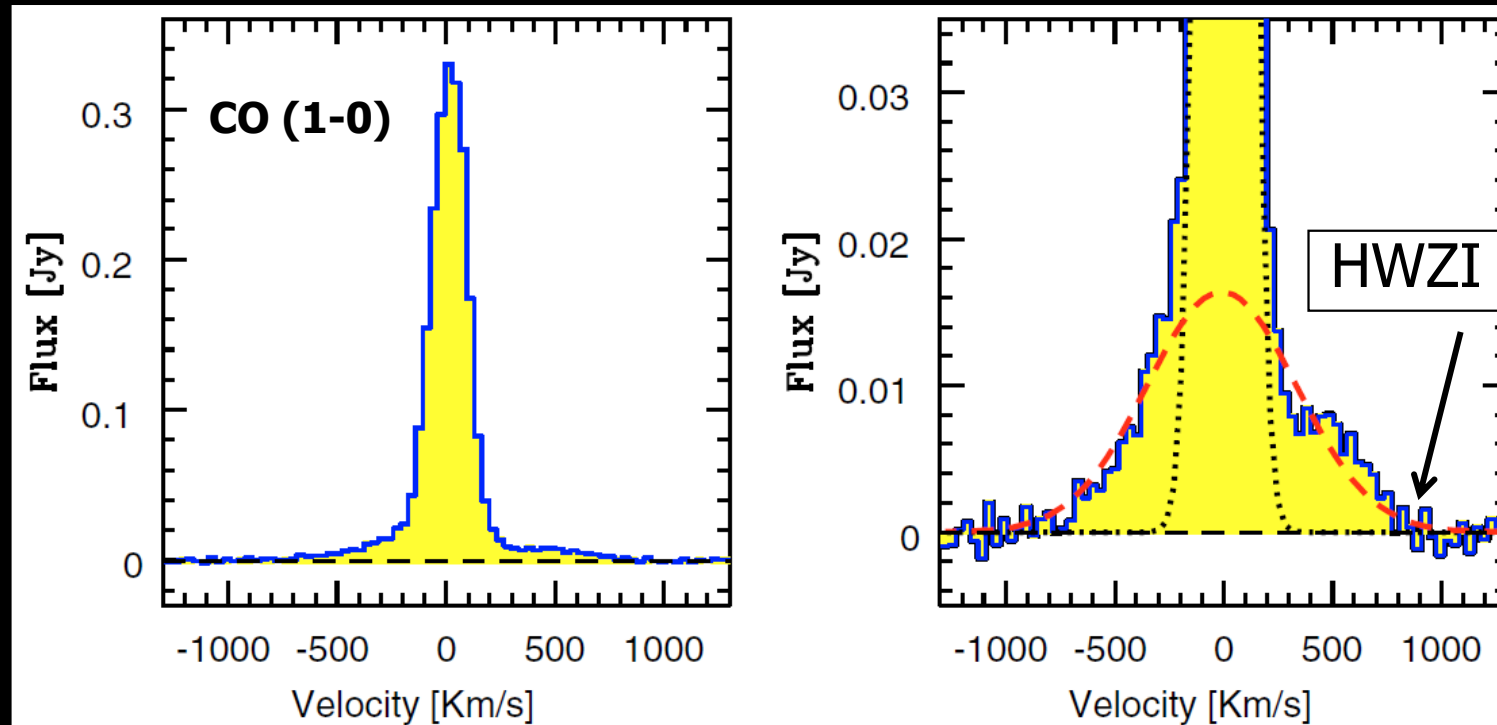
mechanical energy: $\geq 10^{56} \text{ ergs}$

$$T = \frac{1}{2} M_{\text{gas}} v^2$$

mechanical luminosity: $\geq 1\% L_{\text{IR}}$

$$P = \frac{T}{t_{\text{dyn}}}$$

Mrk 231 – CO Outflow



Feruglio+2010

outflow mass of $5.8 \times 10^8 M_{\odot}$
outflow rate of $\approx 700 M_{\odot}/\text{yr}$

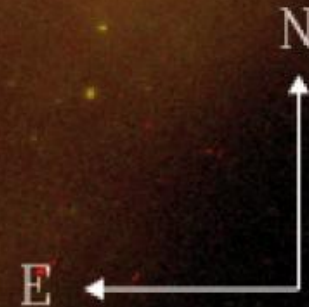
Mrk 231 – Na I D Outflow

HST 435W
HST 814W

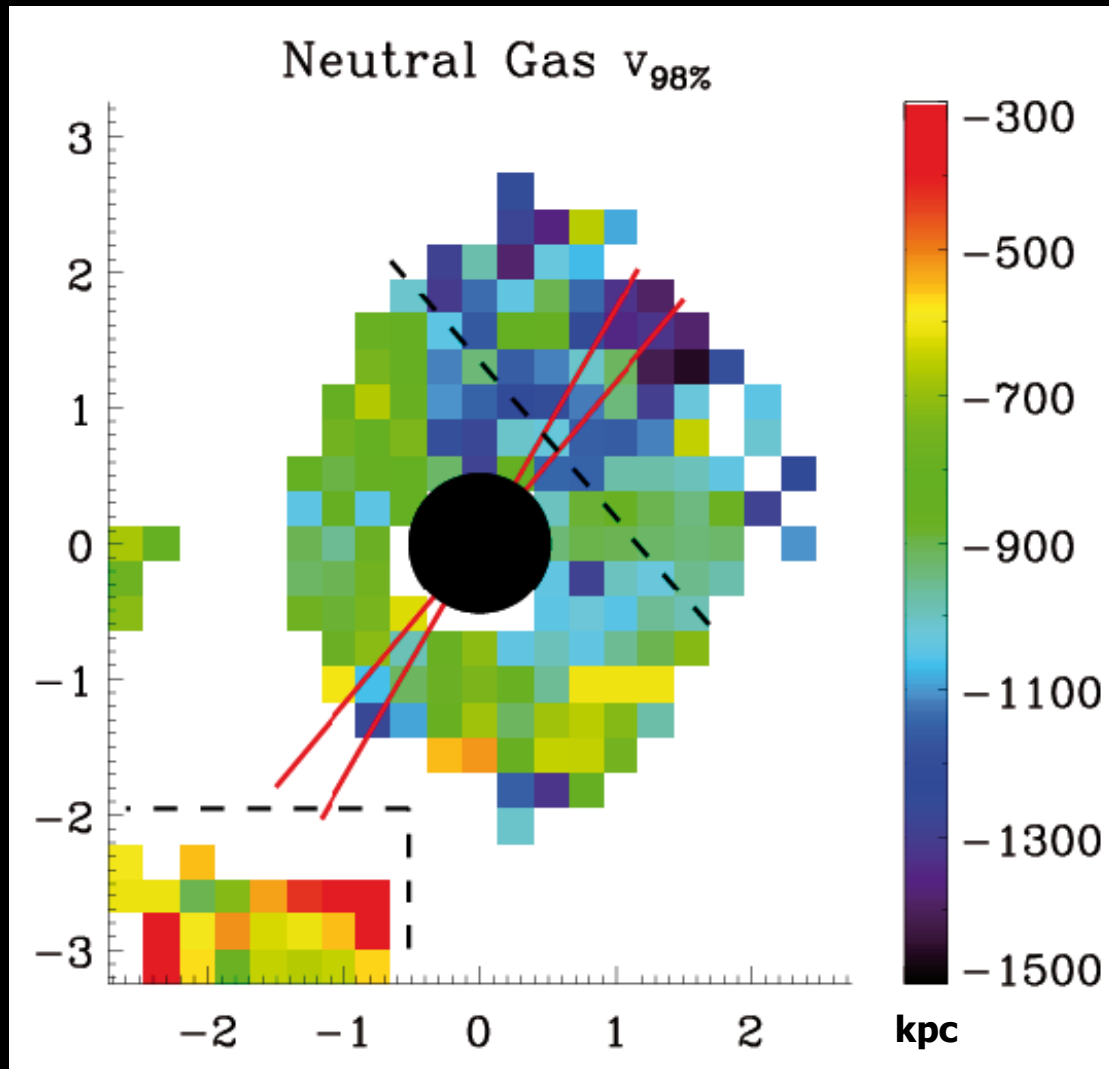
5 kpc

Pacs
spaxel

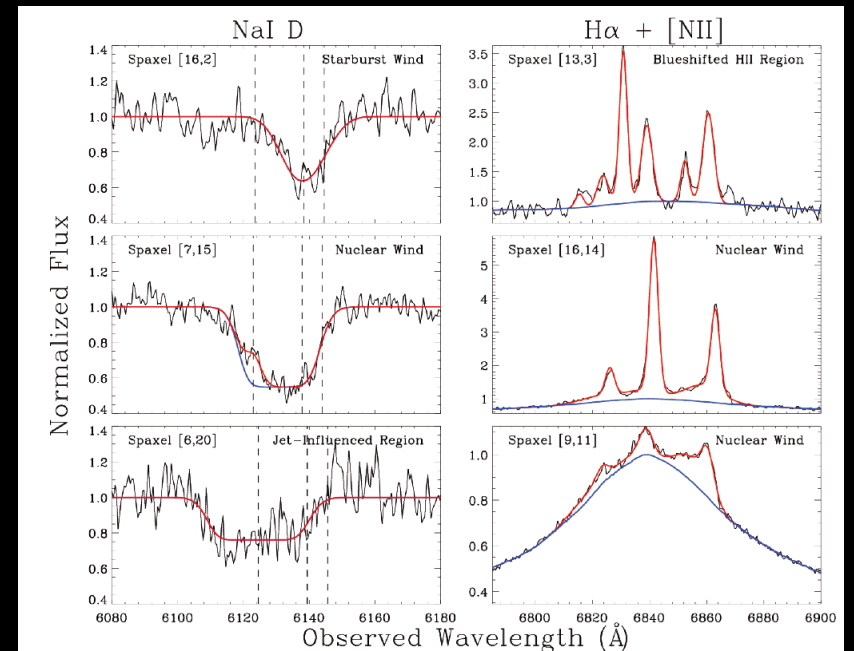
Rupke & Veilleux 2011
Gemini GMOS



Mrk 231 – Na I D Outflow



- Wide angle outflow (i.e. only minor contribution from jet)
- Outflow velocity up to ~ 1100 km/s
- 2-3 kpc extension



Rupke & Veilleux 2011
Gemini GMOS

Eddington outflows: summary

momentum outflow rate

$$\dot{M}_{\text{out}} v = \frac{L_{\text{Edd}}}{c}$$

speed

$$v = \frac{L_{\text{Edd}}}{\dot{M}_{\text{out}} c} = \frac{\eta c}{\dot{m}} \sim 0.1c$$

$$\text{where } \dot{m} = \dot{M}_{\text{out}} / \dot{M}_{\text{Edd}} \sim 1$$

energy outflow rate

$$\frac{1}{2} \dot{M}_{\text{out}} v^2 = \frac{\eta}{2} \cdot \eta c^2 \dot{M}_{\text{out}} = \frac{\eta}{2} L_{\text{Edd}} \simeq 0.05 L_{\text{Edd}}$$

$$\text{where } \dot{m} = \dot{M}_{\text{out}} / \dot{M}_{\text{Edd}} \sim 1$$

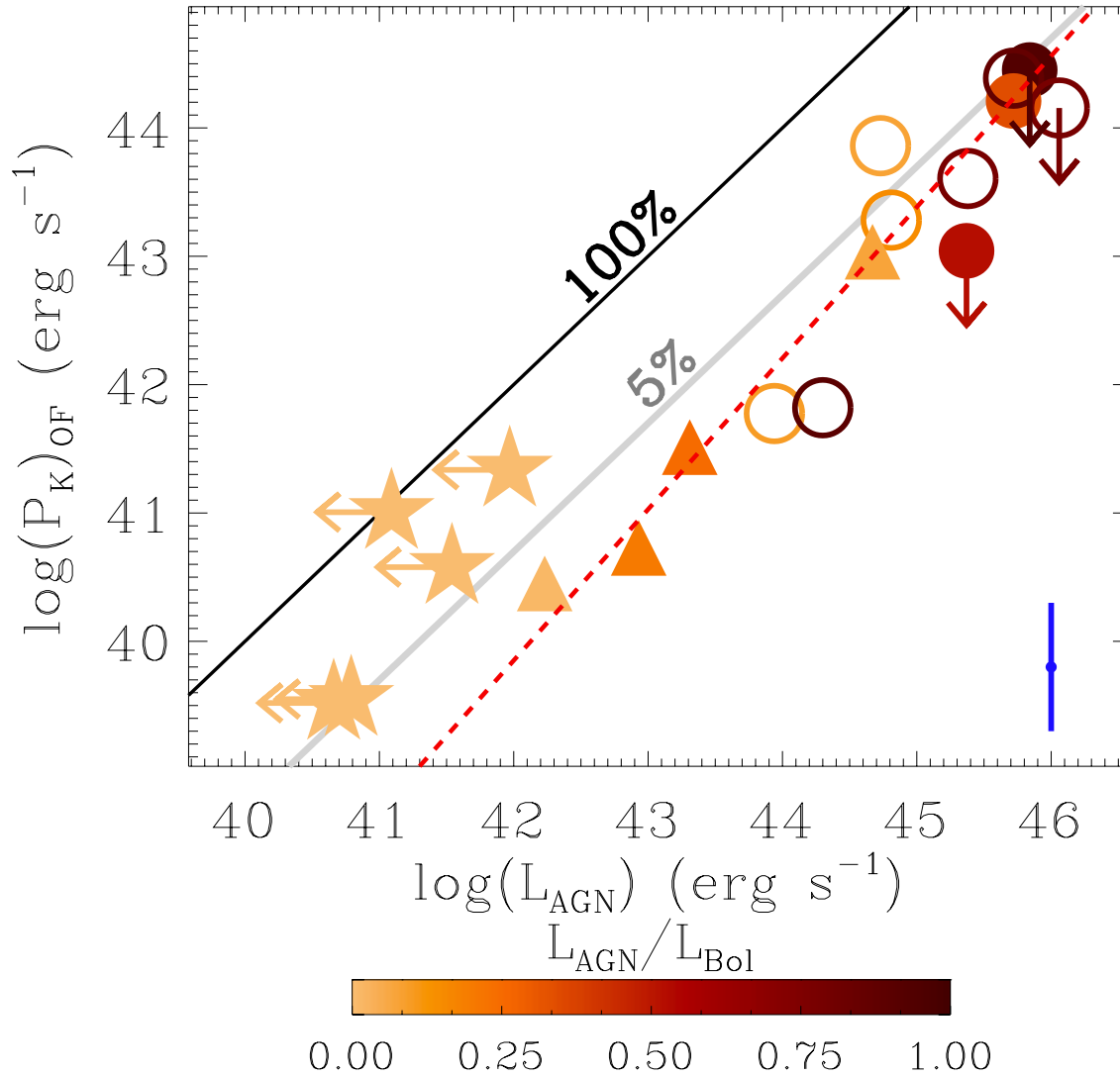


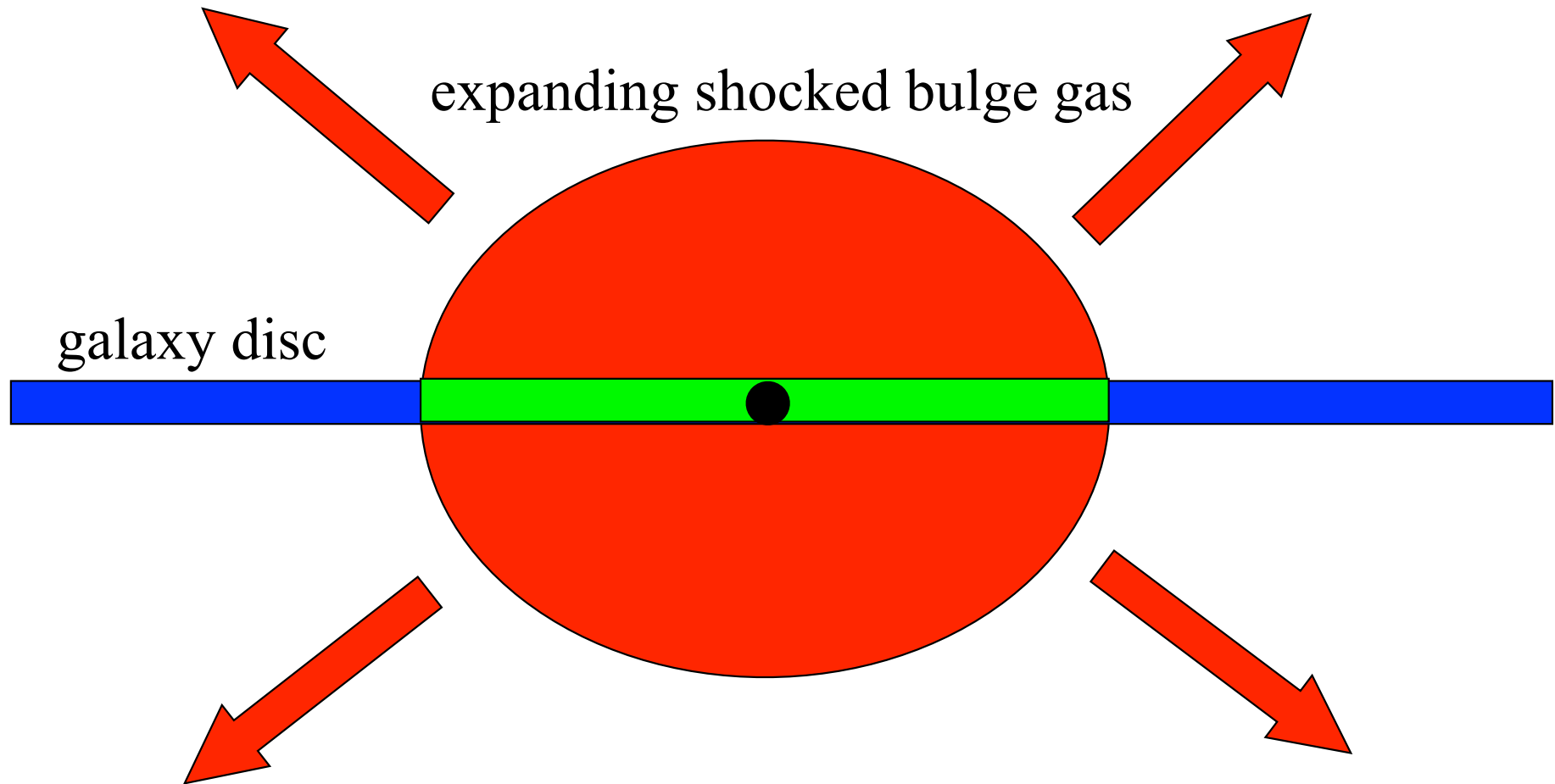
Fig. 12. Correlation between the kinetic power of the outflow and the AGN bolometric luminosity. Symbols and colour-coding as in Fig. 8. The grey line represents the theoretical expectation of models of AGN feedback, for which $P_{K,OF} = 5\%L_{AGN}$. The red dashed line represents the linear fit to our data, excluding the upper limits. The error bar shown at the bottom-right of the plot corresponds to an average error of ± 0.5 dex.

Tombesi et al., Nature, 2015

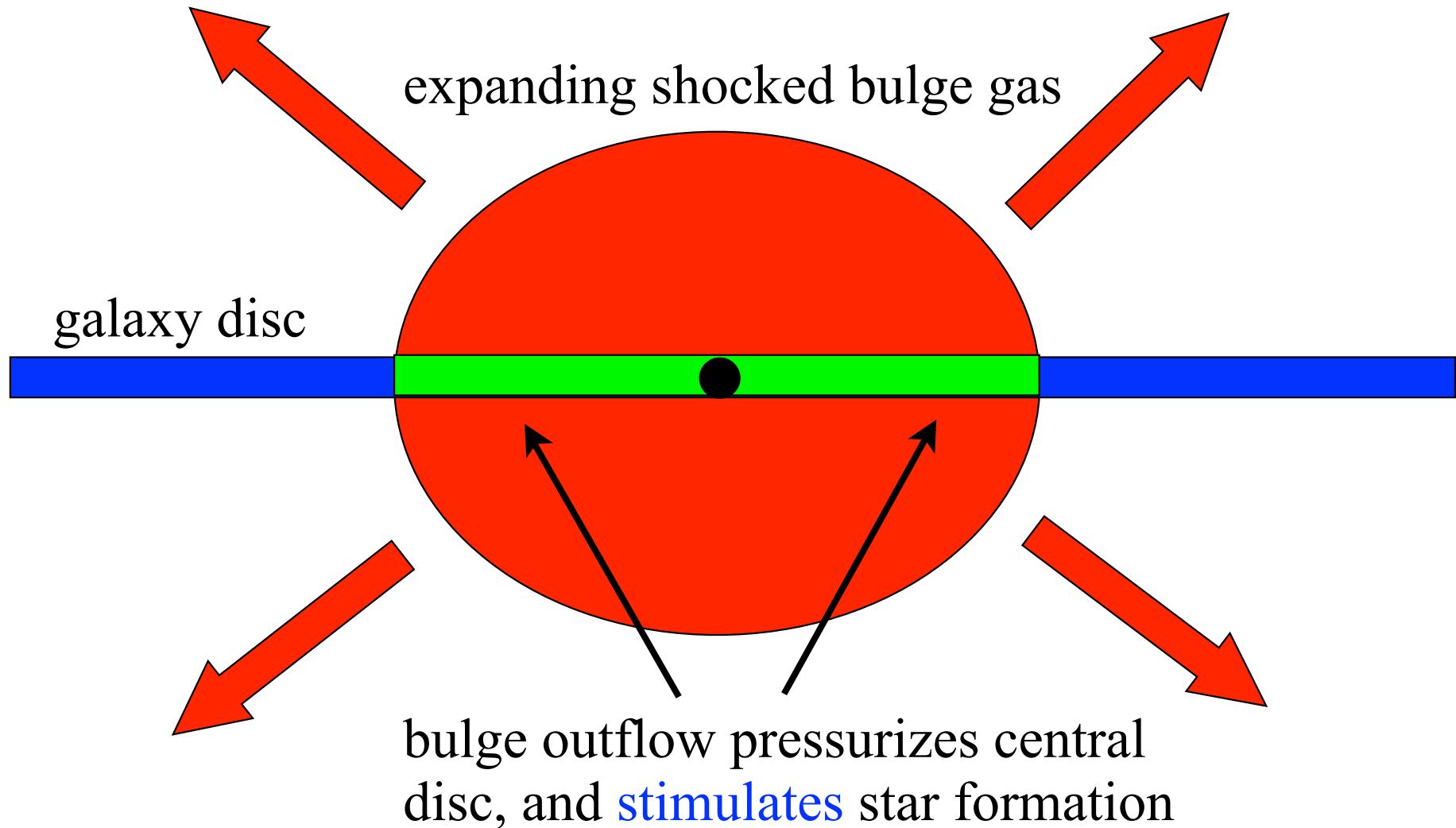
Here we show the clear detection of **a powerful AGN accretion disk wind with a mildly relativistic velocity of $0.25c$** in the X-ray spectrum of IRAS F11119+3257, a nearby ($z = 0.189$) optically classified type 1 ULIRG **hosting a powerful molecular outflow**. The AGN is responsible for $\sim 80\%$ of the emission, with a quasar-like luminosity of $L_{\text{AGN}} = 1.5 \times 10^{46} \text{ erg s}^{-1}$.

The energetics of these winds are consistent with the energy-conserving mechanism.

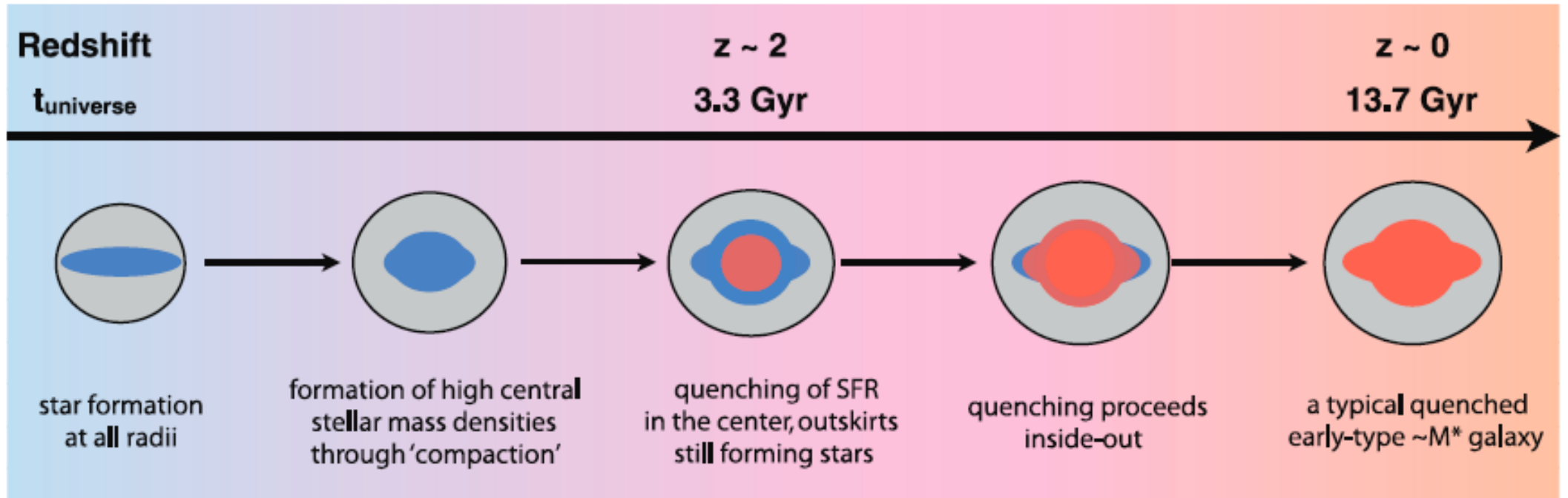
spirals: outflow pressure \Rightarrow star formation in disc



spirals: outflow pressure => star formation in disc



observational picture



(Tachella et al., 2015)

outflows may be **episodic**, as **AGN driving is variable**

K & Pringle 2007 'chaotic accretion':

each accretion disc event limited by self-gravity to a mass

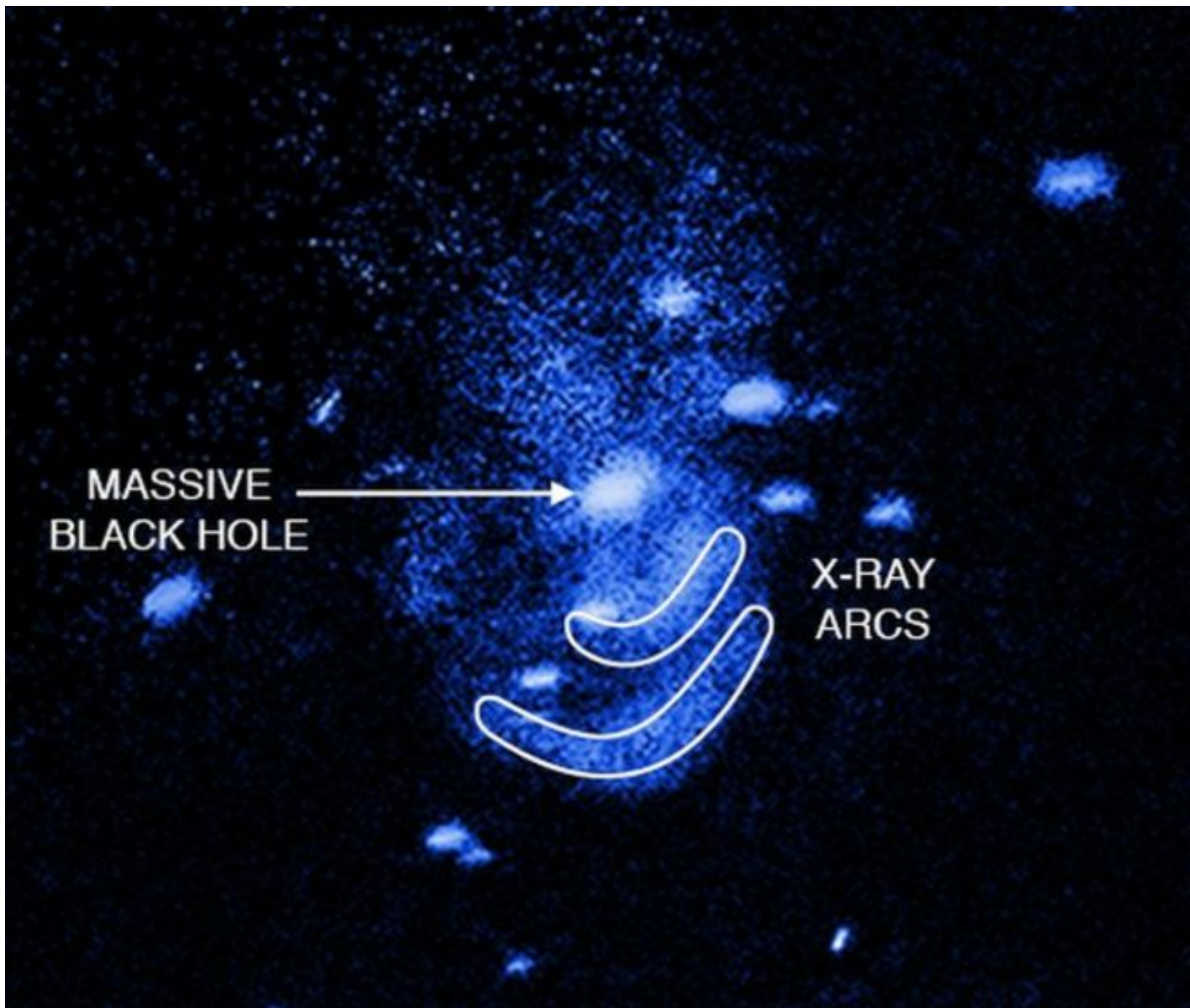
$$M_d \lesssim \frac{H}{R} M_{\text{BH}} \simeq 10^{-3} M_{\text{BH}}$$

so characteristic variation ('flicker') timescale is

$$t_{\text{var}} \sim \frac{M_d}{\dot{M}} \sim \frac{H M_{\text{BH}}}{R \dot{M}} \sim 10^5 \text{ yr}$$

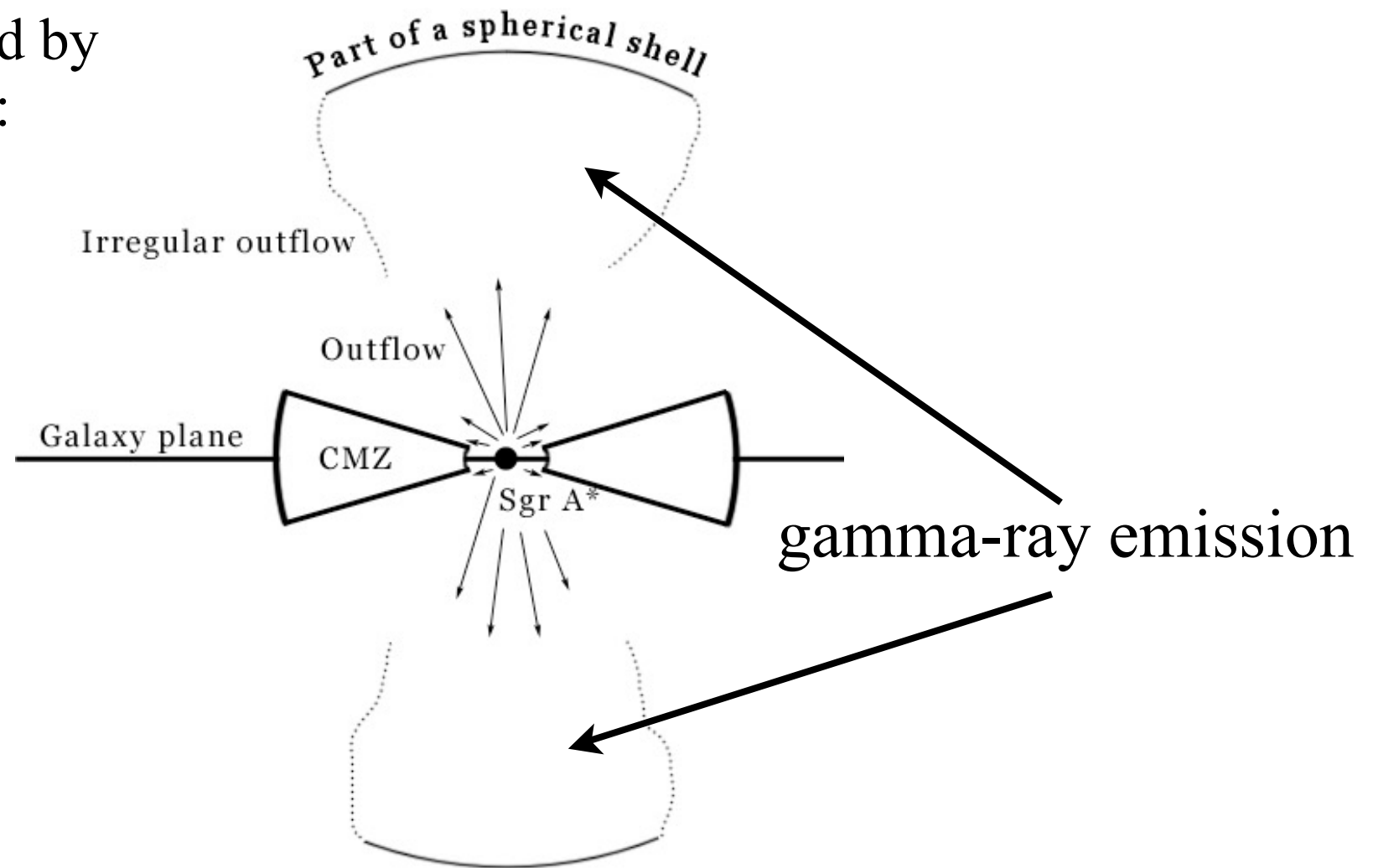
duty cycle $\lesssim 10^8$ yr (most galaxies are not AGN, but all have SMBH)
(K & Pringle, 2006; K & Nixon 2015; Schawinski + 15)

progress of outflow may be **slower** than measured velocity



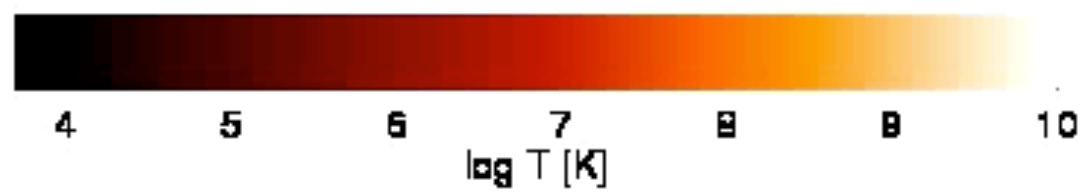
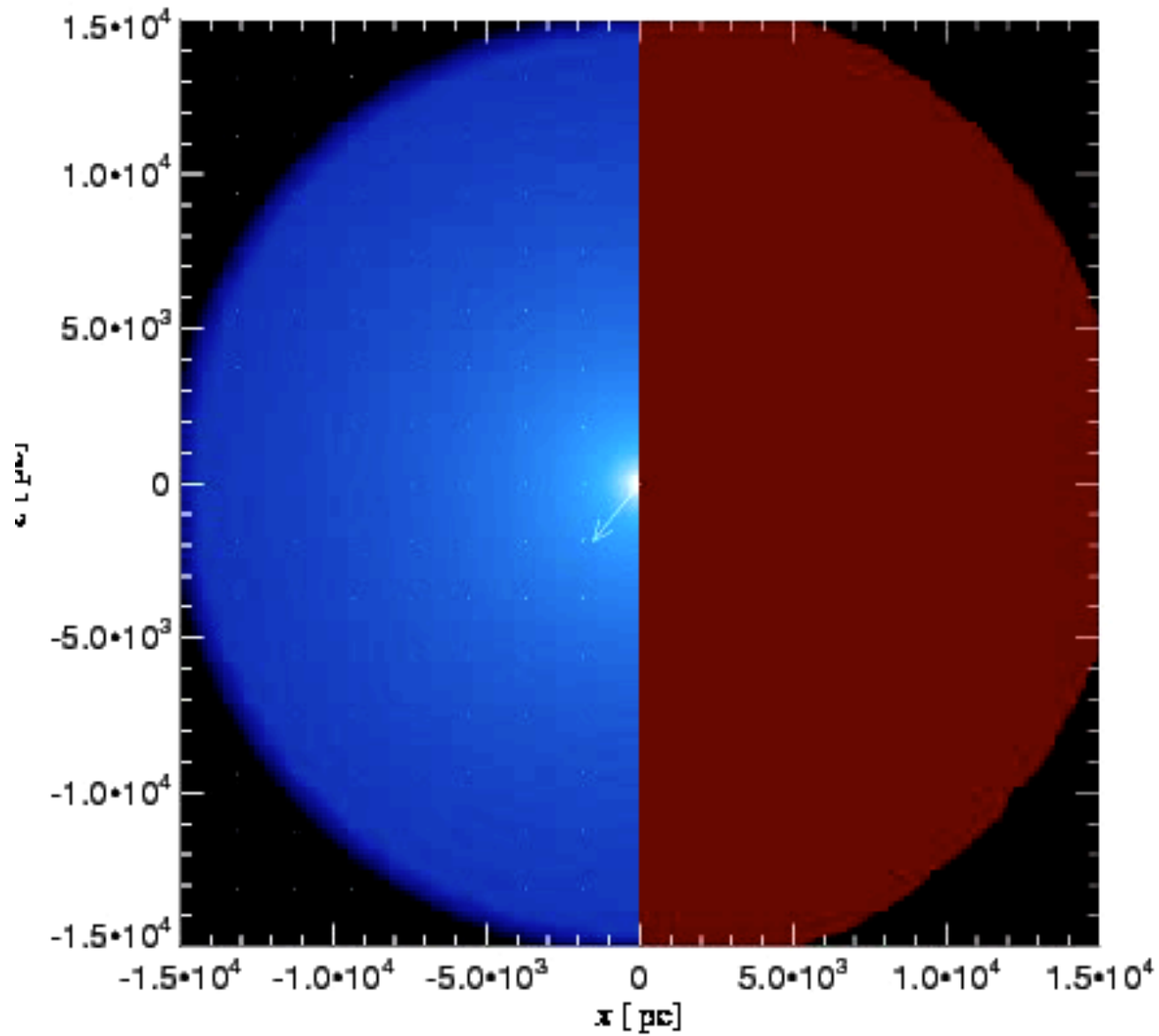
(Schlegel et al., 2016)

outflow blocked by
galaxy disc:



gamma-rays generally too weak to detect: possible exception?

Fermi gamma-ray bubbles in Milky Way?



alternative interpretation: Fermi bubbles result from jets?

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main problem:

no reason why jets should be symmetrical about galaxy plane

BH spin and inner disc do not know about galaxy plane

bulge stellar mass

stars produce luminosity $L_* \sim \epsilon_* \dot{M}_* c^2$,
and so momentum p_* at rate $\dot{p}_* \sim \epsilon_* c \dot{M}_*$

star formation is inhibited if total momentum p_* reaches $\sim M_g \sigma$,
where M_g is original gas mass, so maximum bulge stellar mass is

$$M_b \sim \frac{\sigma}{\epsilon_* c} M_g$$

now $M_g \sim f_g M_V$, where

$$M_V \sim \frac{1}{H} \times \frac{\sigma^3}{G}$$

is virial mass

so combining, we get

$$M_b \sim \frac{f_g \sigma^4}{\epsilon_* c H G} \sim 10^{11} M_\odot \sigma_{200}^4$$

black-hole -- bulge-mass relation

now using

$$M_{\text{BH}} \simeq M_{\sigma} = \frac{f_g \kappa}{\pi G^2} \sigma^4$$

we find

$$\frac{M_{\text{BH}}}{M_b} \sim \frac{\epsilon_* \kappa c H}{\pi G} \simeq 10^{-3}$$

but note the nature of this relation:

SMBH mass limited to $M \propto \sigma^4$ by *black hole* momentum feedback (K 2003, 2005) - *tiny* scales \sim pc

bulge stellar mass limited to $M_b \propto \sigma^4$ by *stellar* momentum feedback and cosmological mass growth

ratio is

$$\frac{M}{M_b} \simeq 10^{-3} h(z) \left[1 + \frac{0.41 \sigma_{200}}{h(z)} \right] \quad (\text{Power} + 2011)$$

the $M - M_b$ relation is 'acausal' - M, M_b follow *parallel* feedback relations, but **do not influence each other**

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the dark ages?

in all this work, we have assumed that the radiation of the accreting SMBH escapes freely - **is this true?**

if not, the **entire accretion luminosity** must be trying to drive the ISM away, so L , not just $(\eta/2)L \simeq 0.05L$

we need to work out the optical depth of the ISM

with

$$\rho(r) = \frac{f_g \sigma^2}{2\pi G r^2}$$

the optical depth from radius R to infinity is

$$\tau(R) = \int_R^\infty \kappa \rho(r) dr = \frac{\kappa f_g \sigma^2}{2\pi G R}$$

this gets large for small R

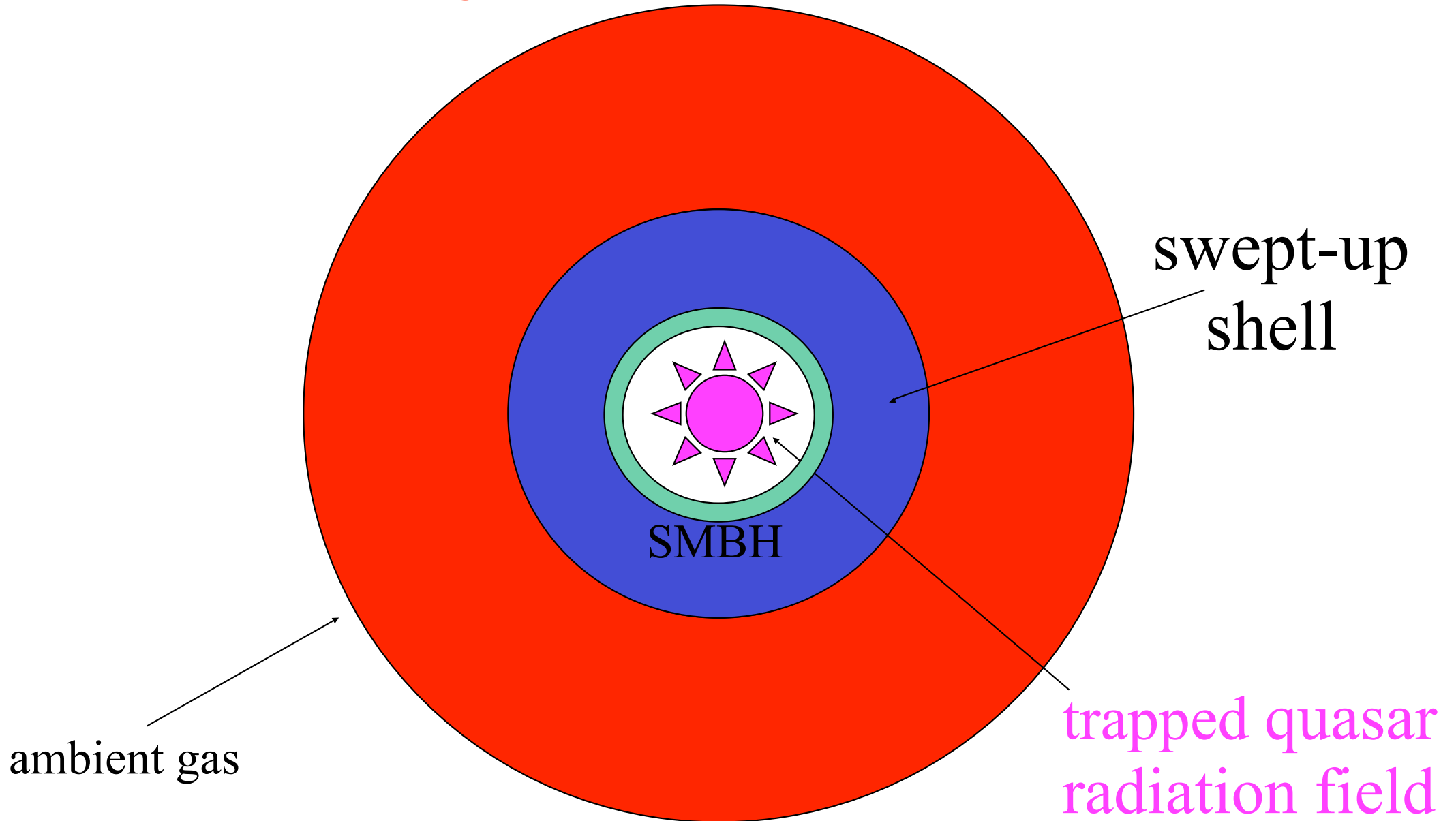
so the luminosity is **trapped** at small R

=> radiation pushes the ISM into a **shell** of mass

$$M(R) = \frac{2\sigma^2 R}{G}$$

(just as the wind does [later])

radiation driving



expect expansion of bubble **faster than wind case** since L not $\frac{\eta}{2}L$

the optical depth across this shell is $\kappa \times$ (column density), i.e.

$$\tau_{\text{sh}}(R) = \frac{\kappa M_g(R)}{4\pi R^2} = \frac{\kappa f_g \sigma^2}{2\pi G R} = \tau(R)$$

so the trapped radiation sees *total* optical depth (shell + ambient ISM)

$$\tau_{\text{tot}}(R) = \tau(R) + \tau_{\text{sh}}(R) \simeq \frac{\kappa f_g \sigma^2}{\pi G R}$$

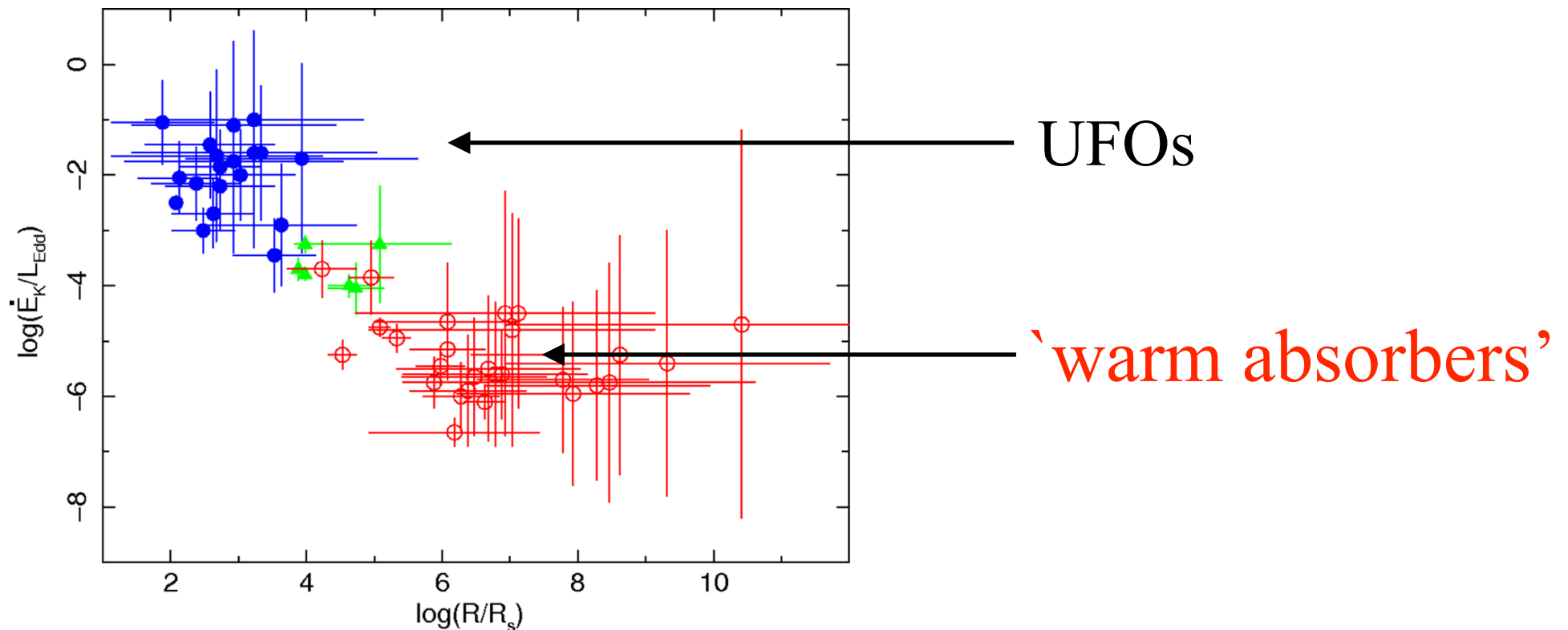
this becomes **optically thin** (\Rightarrow radiation can escape) once R reaches

'transparency radius'

$$R_{\text{tr}} \sim \frac{\kappa f_g \sigma^2}{\pi G} \simeq 50 \left(\frac{f_g}{0.16} \right) \sigma_{200}^2 \text{ pc} \sim 10^7 R_g$$

so now the shell gradually slows down and the radiation escapes -

end of the 'dark ages'



dust?

while shell is optically thick, radiation is trapped and must build up a black body distribution,

temperature given by $L_{\text{Edd}} = 4\pi R^2 \sigma T_b^4$

i.e.

$$T_b = \frac{100}{r^{1/2}} \left(\frac{\kappa}{\kappa_{es}} \right)^{1/2} \text{K}, (r = R/R_{\text{tr}} < 1)$$

ISM opacity cannot be dust ($\kappa \gg \kappa_{es}$), as T_b gets large and exceeds dissociation temperature

transparency radius determined by electron scattering

some other consequences of SMBH outflows

super-solar abundances in AGN spectra: momentum—driven outflows ($M < M_\sigma$) repeatedly sweep up and compress the same gas: generations of massive stars forming out of same gas enrich metals

dark matter cusp removal by same mechanism: large masses move

little SF in AGN hosts

metals spread to IGM by subsequent energy-driven outflows

for a review of outflows, $M - \sigma$ before the Saas-Fee book comes out, see

King & Pounds, Annual Reviews of Astronomy and Astrophysics, (2015) 53, 115

GW150914: **the most energetic event directly observed:**

$$E_{\text{GW}} \simeq 3M_{\odot}c^2 \simeq 6 \times 10^{54} \text{ erg } (\simeq 10^{32} \text{ Mt!})$$

but close to GW detection limits: distance ~ 410 Mpc

claimed near-simultaneous **electromagnetic** (EM) counterpart

now generally discounted —

problem — **have to make 2nd BH during merger**

is a *later* EM event possible, and if so, observable?

a later event requires positional information, since we cannot use simultaneity to identify it with the GW event

must wait for upcoming GW detectors — e.g. KAGRA (Japan), etc
to give better GW error boxes

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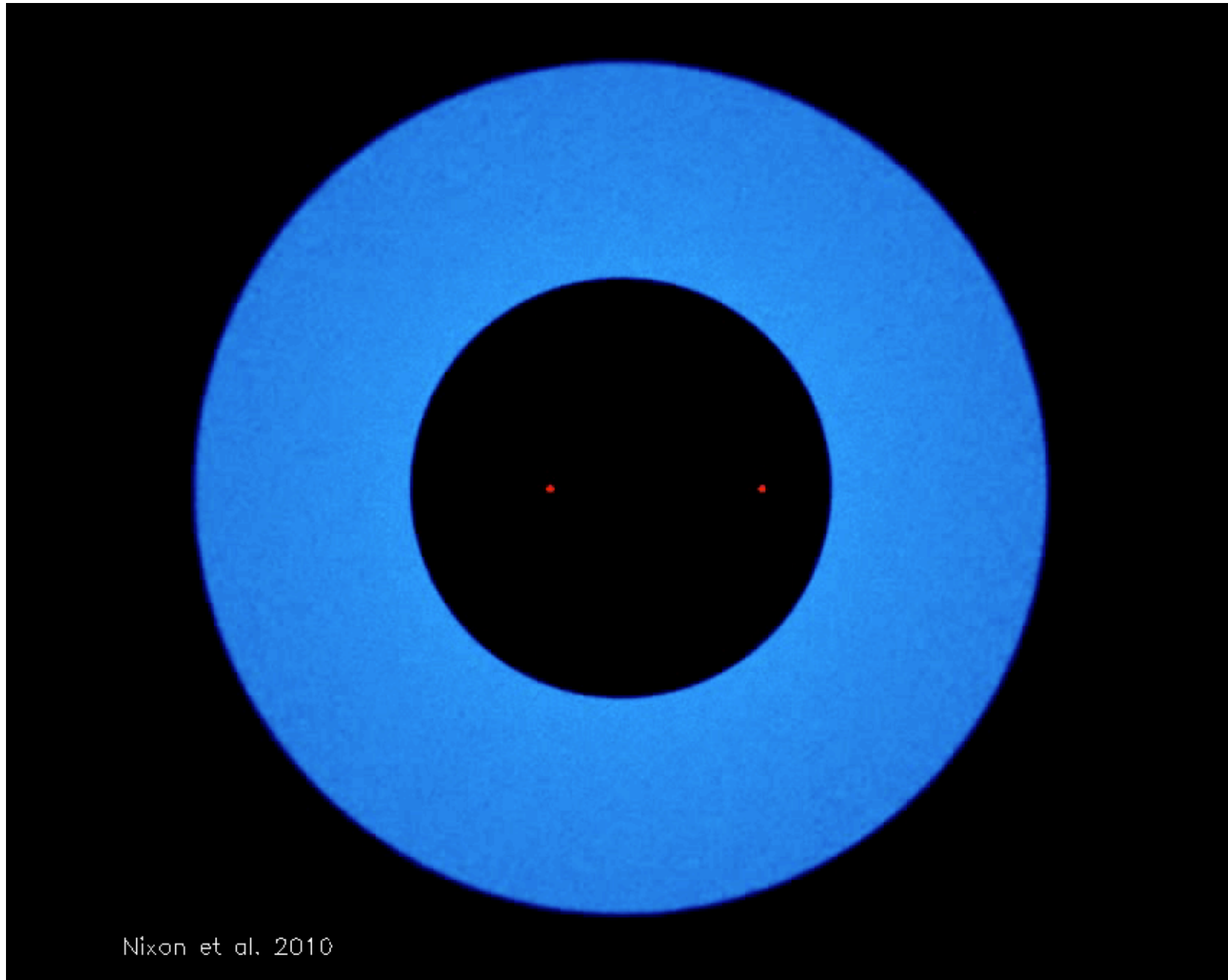
best candidate for a later event — GW event disrupts a

circumbinary disc

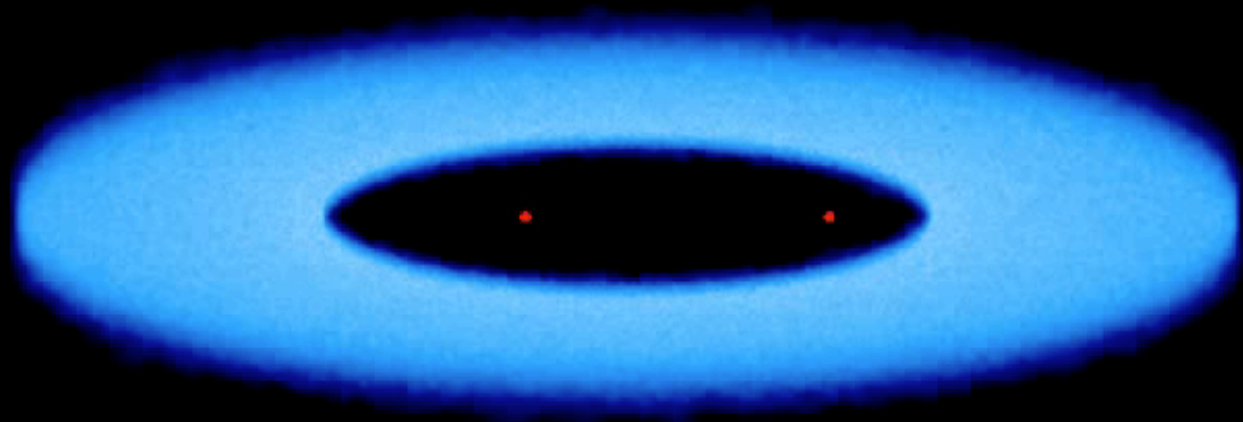
left over from the pre—merger binary evolution

cf e.g. circumbinary material around SS433 (Blundell + 2001, 2009), talk by Linial at this meeting

retrograde: Nixon et al. (2011)



Nixon et al. 2010



Nixon et al. 2010

GW merger disturbs circumbinary disc

Rossi et al., 2010 — supermassive case

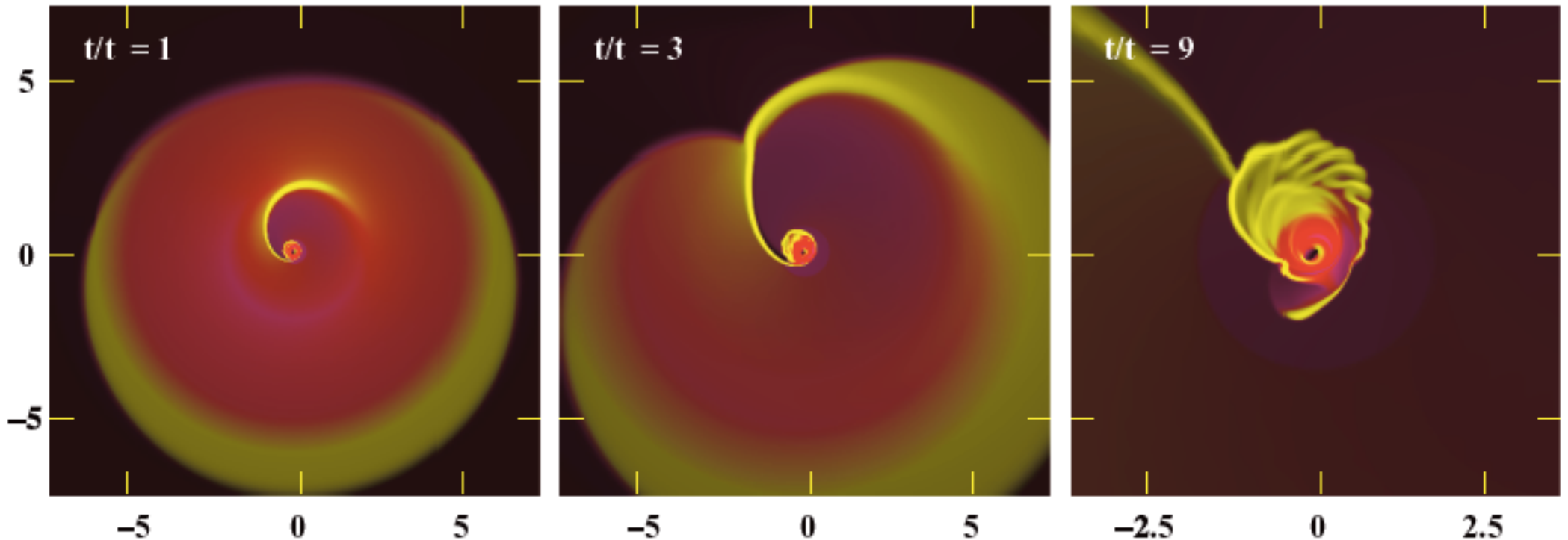


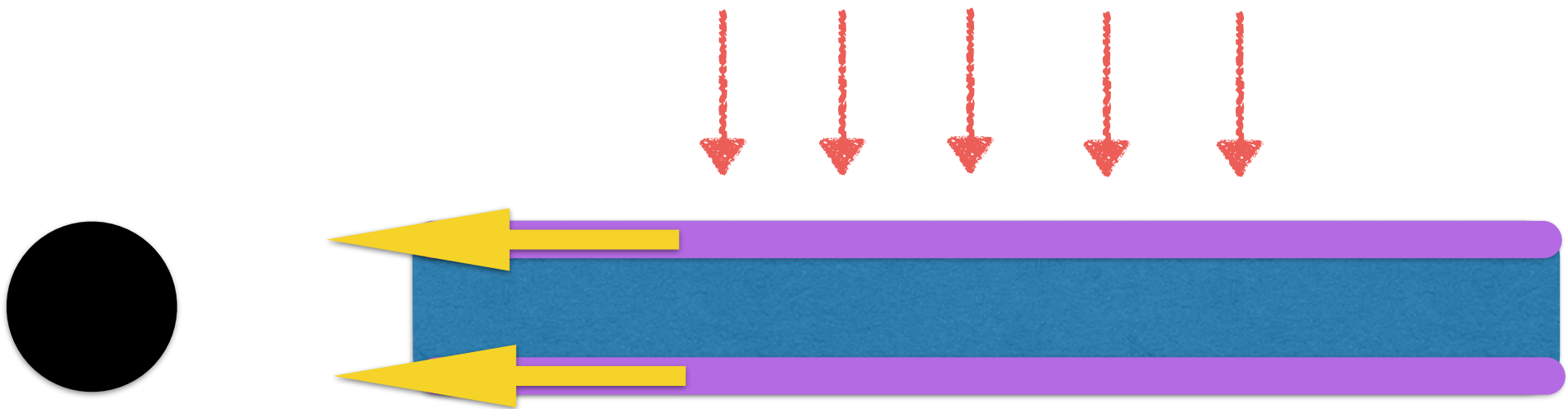
Figure 9. Rendering showing the evolution of the surface density of the disc following an in-plane kick. In this high resolution simulation, the disc extends up to $r = r_{\text{ub}}$. During the peak phase of energy dissipation (left-hand panel), energy is dissipated at successively larger disc radii as an outward moving wave propagates through the gas. The outer part of the disc is unbound and escapes ballistically. After the wave reaches the outer edge of the disc (centre panel), the rate of decay of the energy dissipation rate steepens markedly. At late times (right-hand panel, spatial and colour scale adjusted to show structure in the innermost regions) low angular momentum gas continues to accrete onto the bound remnant of the original disc, releasing energy at a low level and forming a highly non-axisymmetric accretion flow.

can a circumbinary disc survive?

after 2nd BH forms, disc must be extremely cold; \sim protoplanetary

without ionization disc is 'dead' — *no* motion

outer parts of protoplanetary discs have 'dead zones', plus regions where local **cosmic ray flux** ionizes a skin, with $\alpha \simeq 10^{-2}$



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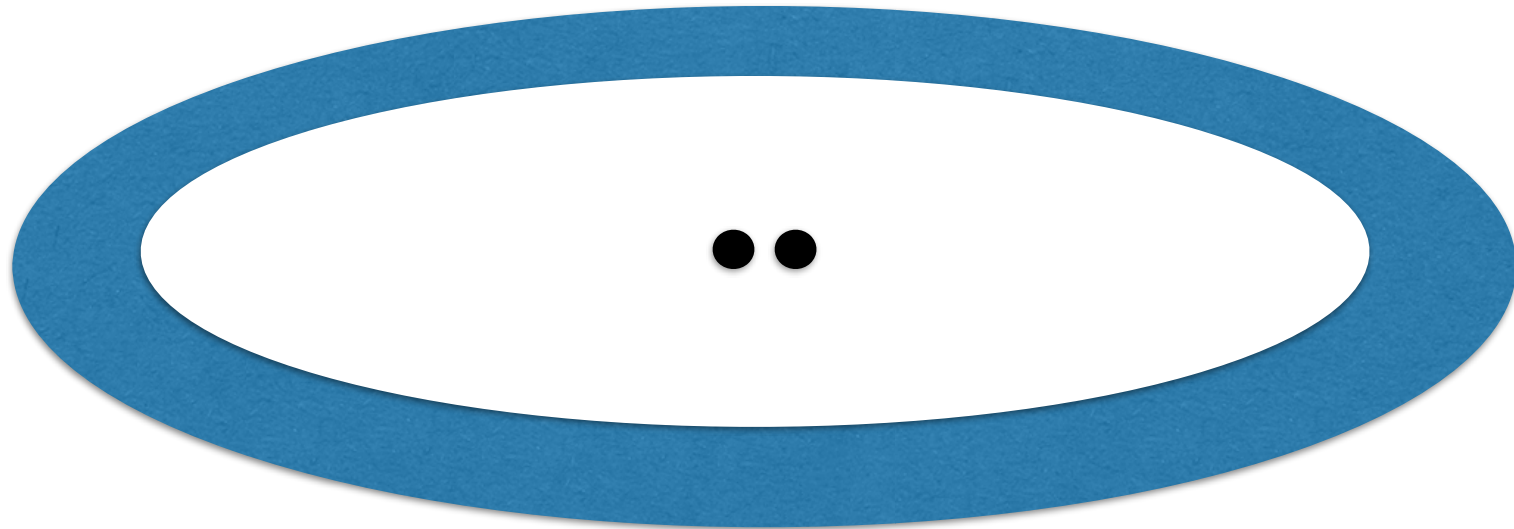
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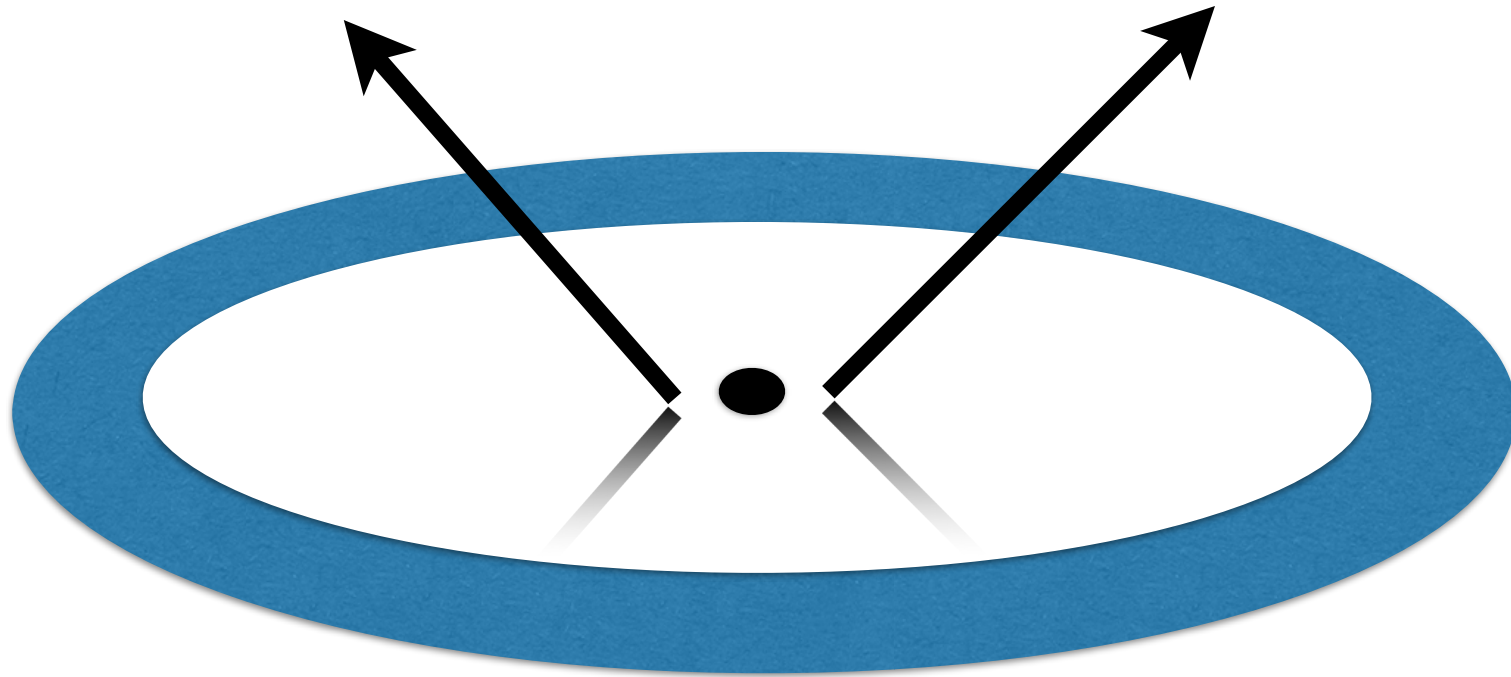
resulting $\dot{M}(R)$ decreases with R , \Rightarrow inward—moving gas piles up in dead zones, and resonances hold up accretion; suggests

inner radius R_{in} of disc where $t_{\text{visc}} = \frac{1}{\alpha} \left(\frac{R}{H} \right)^2 \left(\frac{R^3}{GM} \right)^{1/2} = t_{\text{GW}}$
 $\Rightarrow R_{\text{in}} \simeq \text{few } 10^{10} \text{ cm}$

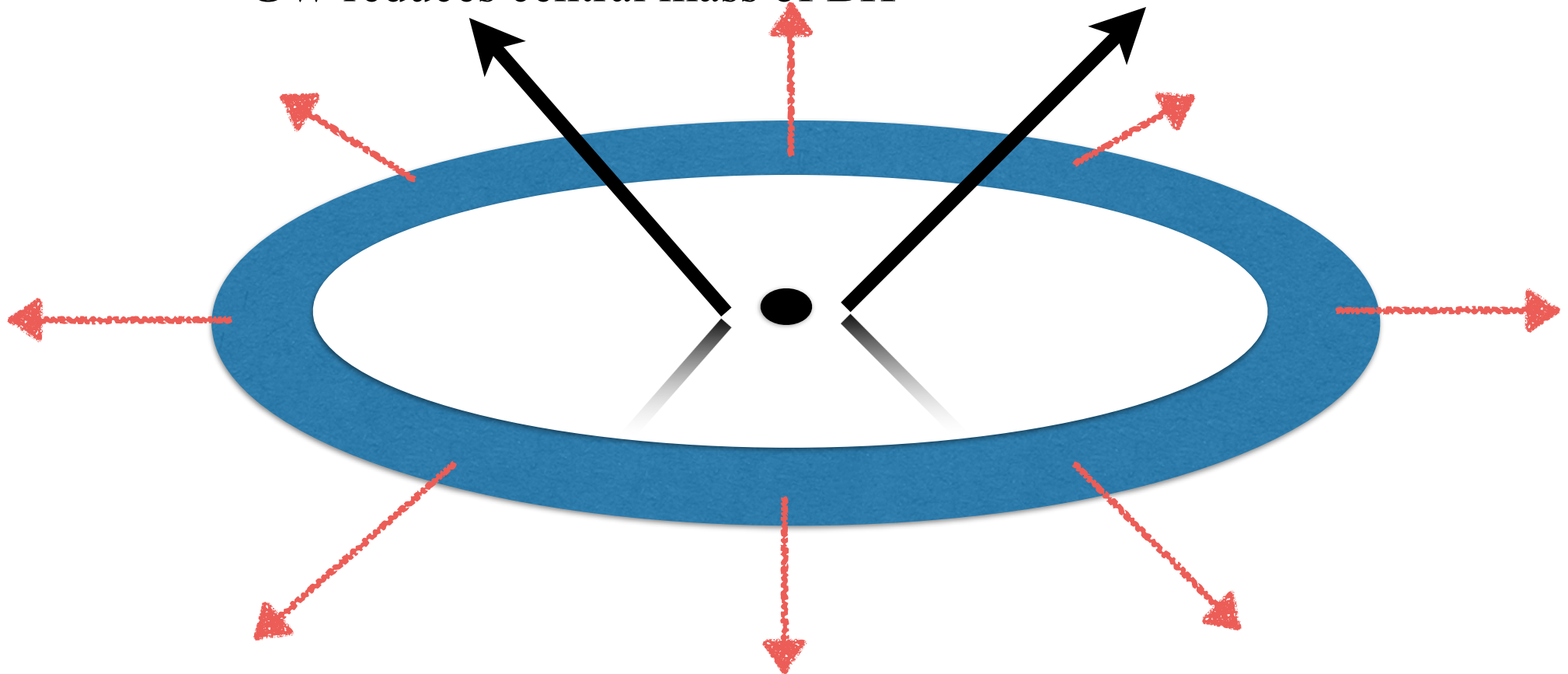
remnant disc mass *very* uncertain: parametrize as $M_d \sim 10^{-3} M$



GW reduces central mass of BH

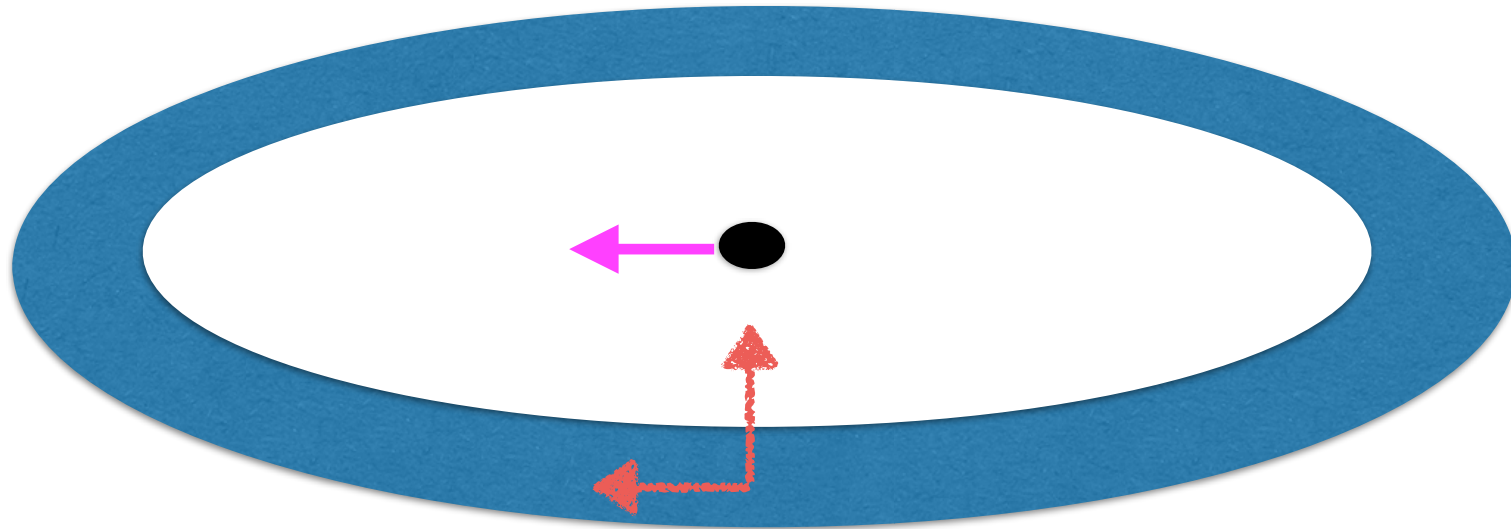


GW reduces central mass of BH



as GW passes, disc responds to mass loss by expanding;
disc orbits become **eccentric** and intersect => **shocks**

merged BH may acquire a kick (anisotropic GW emission)



as GW passes, disc responds to mass loss by expanding;
disc orbits become **eccentric** and **intersect** => **shocks**

disc responds to any *in-plane* kick v at e.g. 9 o'clock by
falling inwards at 6 o'clock (positive disc rotation)

luminosities, temperatures, spectra, light curves

estimated luminosity

$$L_{\text{EM}} \simeq 10^{42} v_3^5 \left(\frac{M_d}{10^{-3} M} \right) \text{ erg s}^{-1}$$

(same as for supermassive BH mergers!)

timescale

$$t \sim \text{few} \frac{GM}{v^3} \sim 2.2 \left(\frac{M}{60 M_{\odot} v_3^3} \right) \text{ hr}$$

with $v_3 = v/1000 \text{ km s}^{-1}$ suggest EM counterparts should be easily observable
(temperature estimates \Rightarrow appear in **X-rays — IR**),
but depend strongly on v_3 : in-plane kick may give **gamma-rays**

[v is greater of kick velocity and Kepler velocity at inner disc edge]

luminosities, temperatures, spectra, light curves

mass infall from disc:

$$\dot{M} = \frac{dM}{dR} \frac{dR}{dt}$$

steady disc =>

$$\frac{dM}{dR} = 2\pi R \Sigma, \quad \Sigma \sim R^\beta, \quad \beta \sim -0.7$$

infall time (dynamical)

$$R \propto t^{2/3}$$

so

$$\dot{M} \propto t^{2(1+\beta)/3-1/3} \propto t^{-0.133}$$

flat EM light curves (unlike TDEs, with $L \propto t^{-5/3}$)

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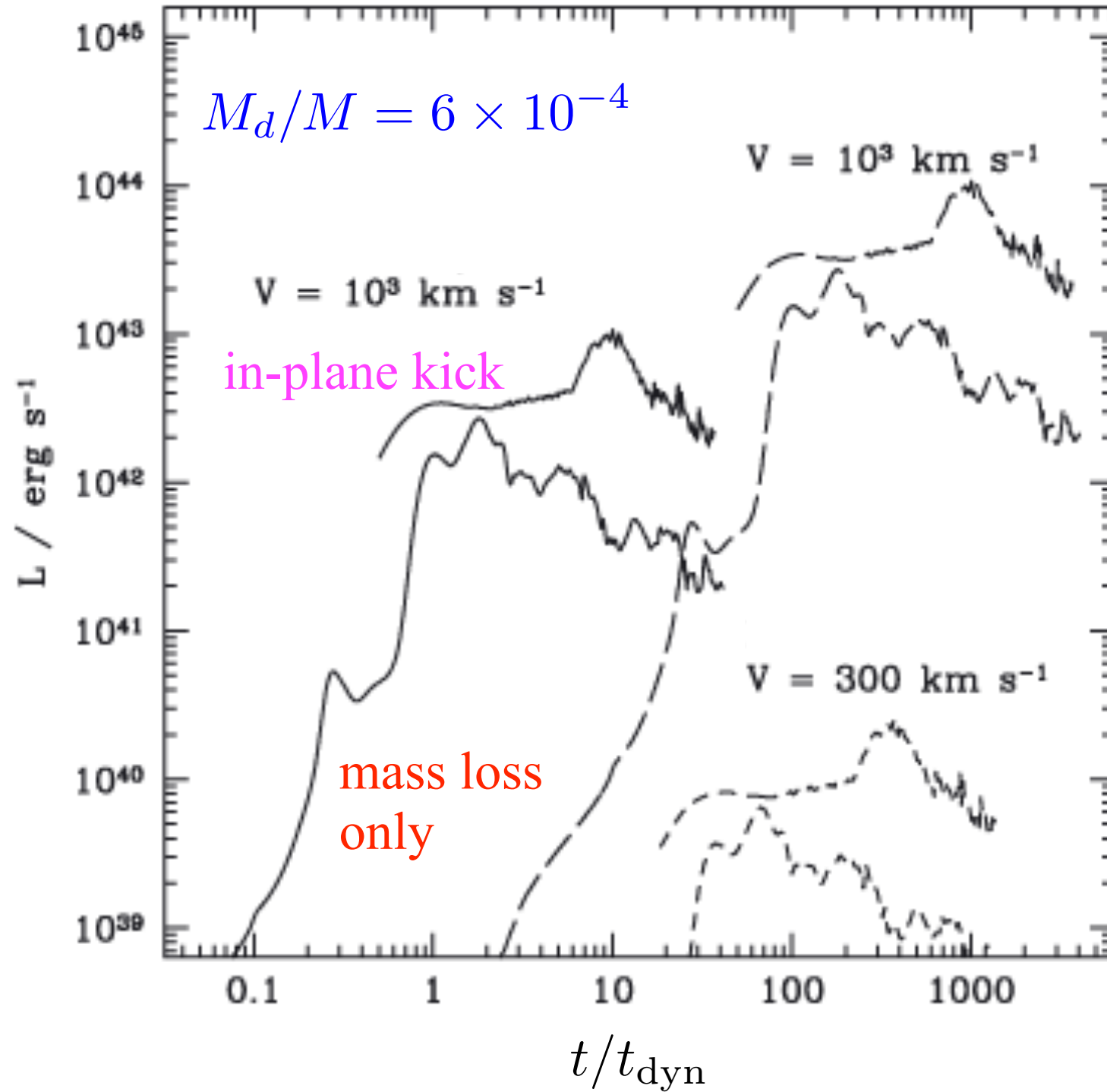
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could we detect 'orphan' GW mergers?

have we already?

were some known (anomalous) GRBs/afterglows
EM counterparts of GW mergers?



GW 170104: afterglow of possible EM counterpart

(Stalder et al., arXiv: 1706.00175)

`right' delay and light curve.....

and in same (very large!) region of the sky

questions

0. were known GRBs/afterglows GW mergers?

astrophysical:

1. which (if any) binary evolution scenario applies?

2. what does this imply for spin magnitudes and directions?

3. does the circumbinary disc survive? — planets?

4. what is M_d/M ?

GR: test predictions for \mathbf{v} (BH spins)?