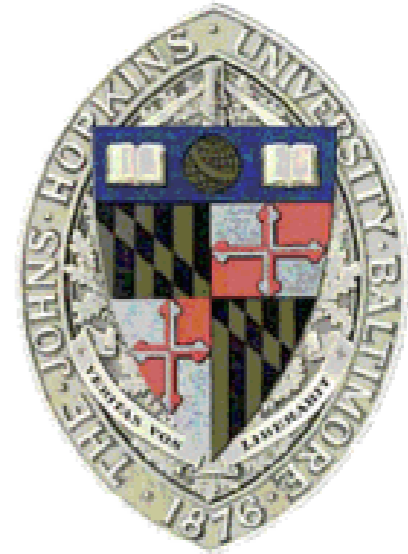


# Anomalous couplings of $H(125)^0$ boson: CMS perspective



Andrei Gritsan

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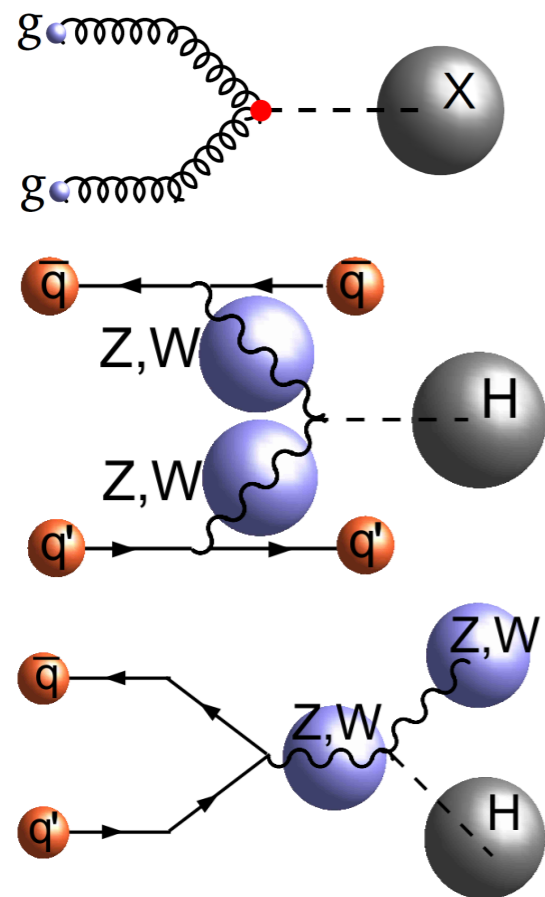
Special thanks to **David Marzocca** and **Markus Schulze** (theory)  
for discussion of anomalous effects and comparison of frameworks

May 8, 2017

LHC Higgs Cross Sections Working Group meeting  
Working Group 2 kickoff meeting post-YR4

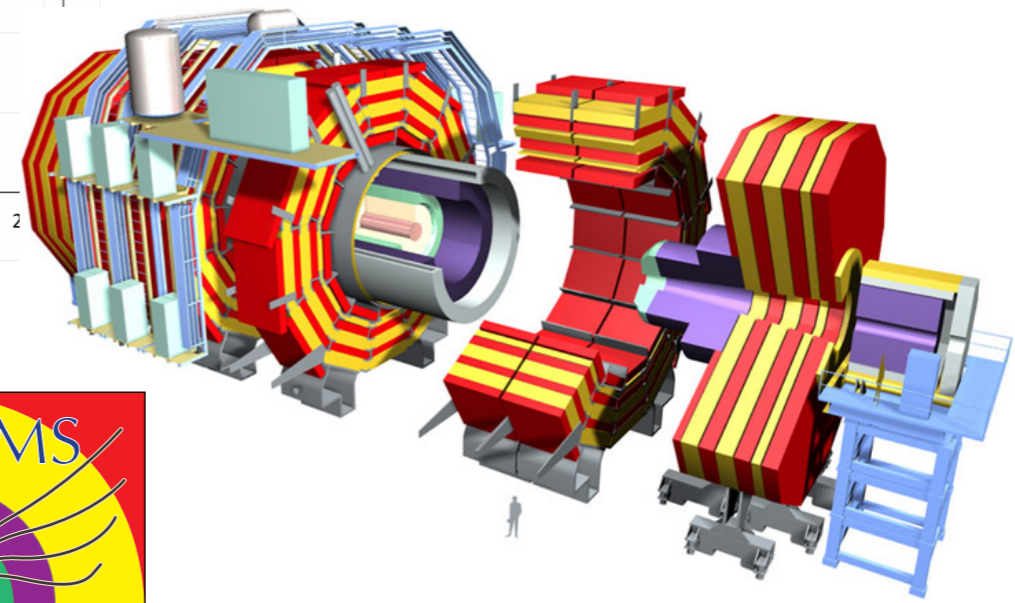
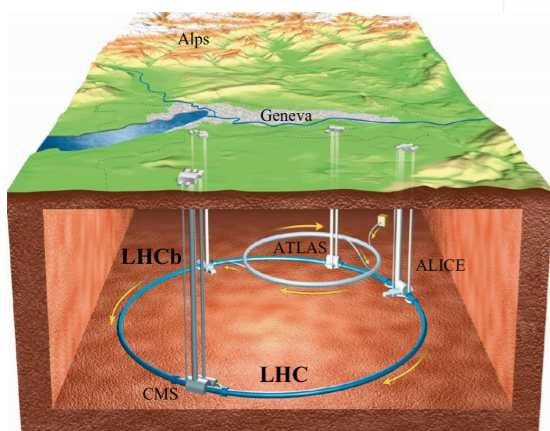
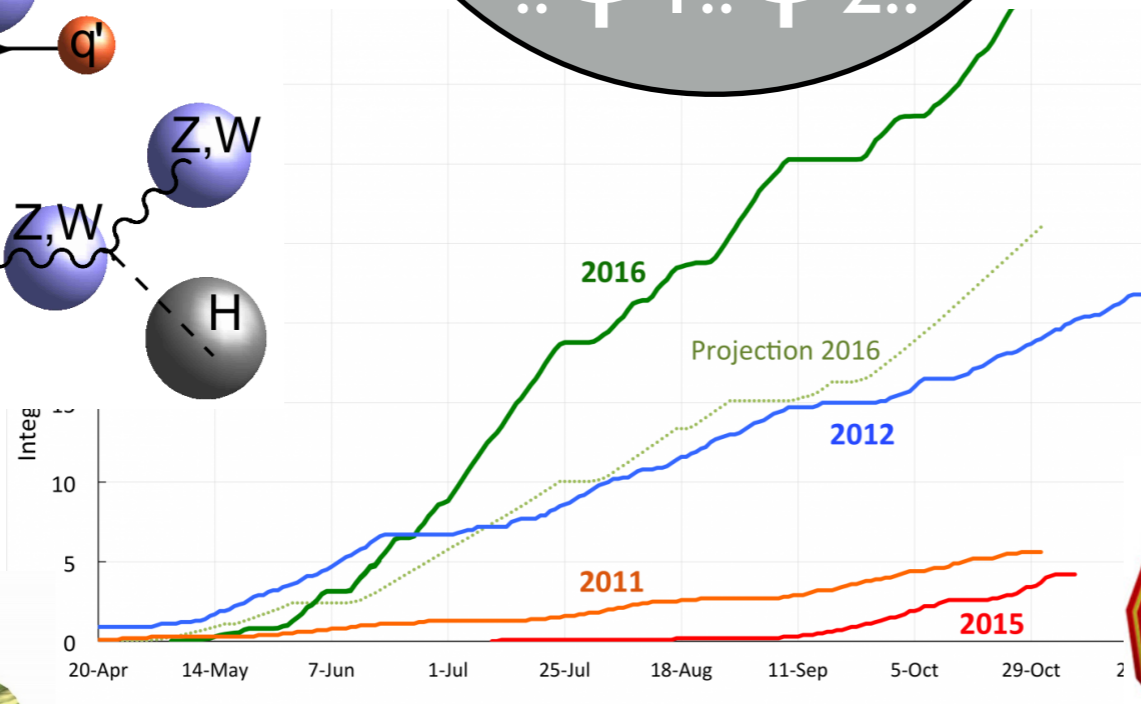
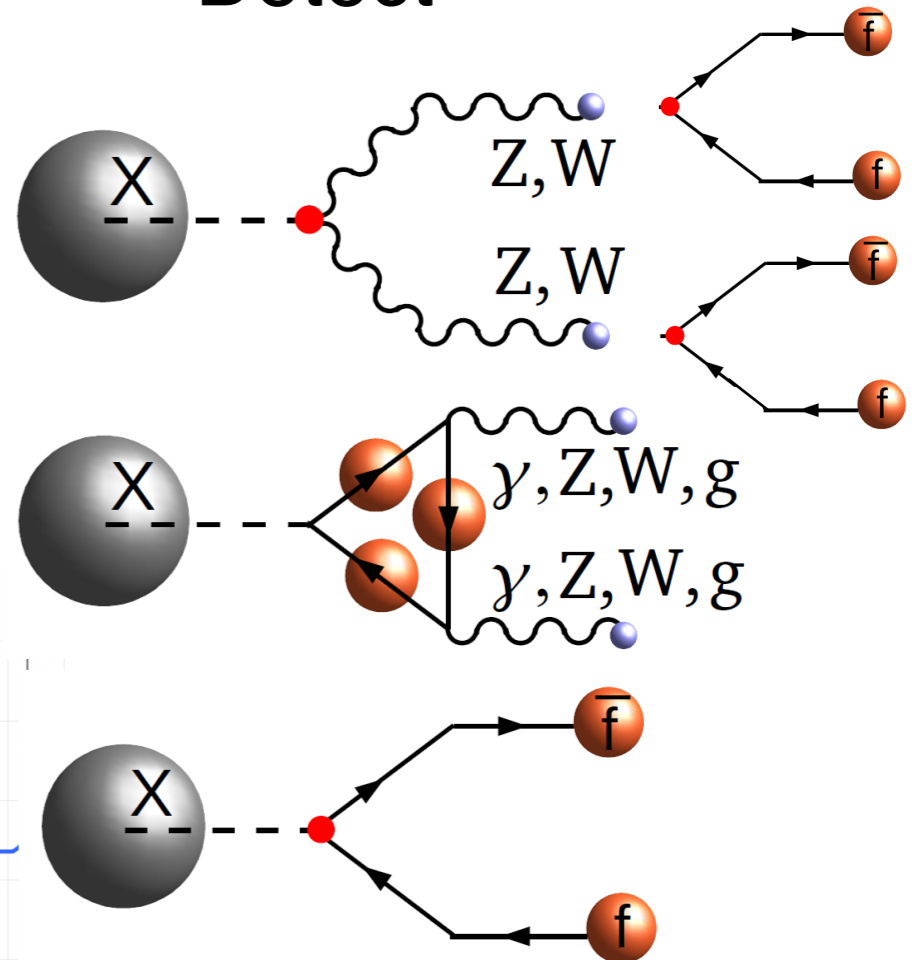
# Focus on $H^0$ boson anomalous couplings

Produce

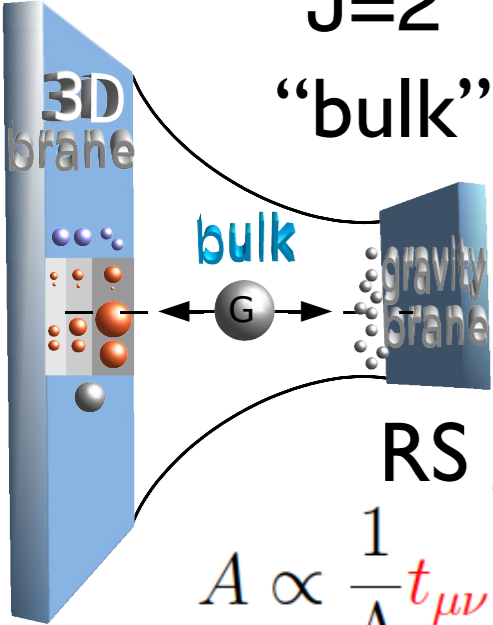


...  
 $? + |D_\mu \varphi|^2$   
 $+ \psi_i \gamma_{ij} \psi_j \varphi + h.c.$   
 $- V(\varphi)$   
 $\dots \varphi_1 \dots \varphi_2 \dots$   
 ?

Detect



# “Exotic” Spin Studies in Run-1



**J=2**  
“bulk”  $g_5 \gg g_1$

RS  $g_5 = g_1$

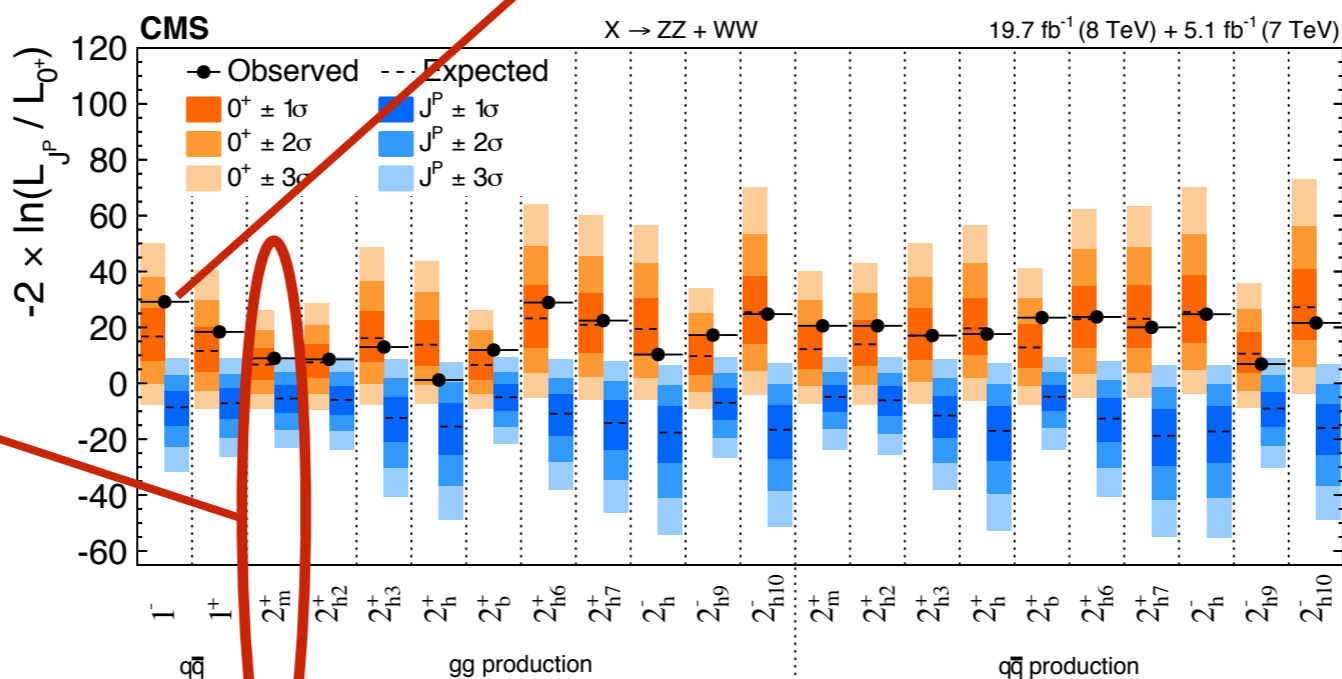
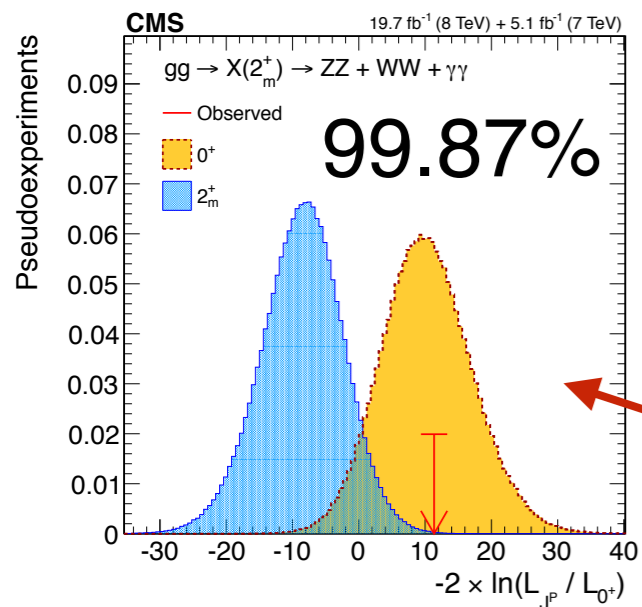
$A \propto \frac{1}{\Lambda} t_{\mu\nu} \mathcal{T}^{\mu\nu}$

$$\begin{aligned}
 A(X \rightarrow V_1 V_2) = & 2g_1^{(2)} t_{\mu\nu} f^{*(1)\mu\alpha} f^{*(2)\nu\alpha} + 2g_2^{(2)} t_{\mu\nu} \frac{q_\alpha q_\beta}{\Lambda^2} f^{*(1)\mu\alpha} f^{*(2)\nu\beta} \\
 & + g_3^{(2)} \frac{\tilde{q}^\beta \tilde{q}^\alpha}{\Lambda^2} t_{\beta\nu} \left( f^{*(1)\mu\nu} f_{\mu\alpha}^{*(2)} + f^{*(2)\mu\nu} f_{\mu\alpha}^{*(1)} \right) + g_4^{(2)} \frac{\tilde{q}^\nu \tilde{q}^\mu}{\Lambda^2} t_{\mu\nu} f^{*(1)\alpha\beta} f_{\alpha\beta}^{*(2)} \\
 & + m_V^2 \left( 2g_5^{(2)} t_{\mu\nu} \epsilon_1^{*\mu} \epsilon_2^{*\nu} + 2g_6^{(2)} \frac{\tilde{q}^\mu q_\alpha}{\Lambda^2} t_{\mu\nu} (\epsilon_1^{*\nu} \epsilon_2^{*\alpha} - \epsilon_1^{*\alpha} \epsilon_2^{*\nu}) + g_7^{(2)} \frac{\tilde{q}^\mu \tilde{q}^\nu}{\Lambda^2} t_{\mu\nu} \epsilon_1^{*\mu} \epsilon_2^{*\nu} \right) \\
 & + g_8^{(2)} \frac{\tilde{q}_\mu \tilde{q}_\nu}{\Lambda^2} t_{\mu\nu} f^{*(1)\alpha\beta} \tilde{f}_{\alpha\beta}^{*(2)} \\
 & + m_V^2 \left( g_9^{(2)} \frac{t_{\mu\alpha} \tilde{q}^\alpha}{\Lambda^2} \epsilon_{\mu\nu\rho\sigma} \epsilon_1^{*\nu} \epsilon_2^{*\rho} q^\sigma + \frac{g_{10}^{(2)} t_{\mu\alpha} \tilde{q}^\alpha}{\Lambda^4} \epsilon_{\mu\nu\rho\sigma} q^\rho \tilde{q}^\sigma (\epsilon_1^{*\nu} (q\epsilon_2^*) + \epsilon_2^{*\nu} (q\epsilon_1^*)) \right)
 \end{aligned}$$

- J=1,2 excluded with  $H(125)^0$

$H \rightarrow ZZ, WW, \gamma\gamma$

J=1 excluded from angular and  $\gamma\gamma$



• Bottom line: study J=0 in Run2

# J=0 parameterization: target measurements

- Two equivalent parameterizations: Effective Lagrangian

ZZ

$$L(HVV) \sim a_1 \frac{m_Z^2}{2} H Z^\mu Z_\mu - \frac{\kappa_1}{(\Lambda_1)^2} m_Z^2 H Z^\mu \square Z_\mu - \frac{\kappa_3}{2(\Lambda_Q)^2} m_Z^2 \square H Z^\mu Z_\mu - \frac{1}{2} a_2 H Z^{\mu\nu} Z_{\mu\nu} - \frac{1}{2} a_3 H Z^{\mu\nu} \tilde{Z}_{\mu\nu}$$

$$+ a_1^{WW} m_W^2 H W^{+\mu} W_\mu^- - \frac{1}{(\Lambda_1^{WW})^2} m_W^2 H (\kappa_1^{WW} W_\mu^- \square W^{+\mu} + \kappa_2^{WW} W_\mu^+ \square W^{-\mu})$$

WW

$$- \frac{\kappa_3^{WW}}{(\Lambda_Q^{WW})^2} m_W^2 \square H W^{+\mu} W_\mu^- - a_2^{WW} H W^{+\mu\nu} W_{\mu\nu}^- - a_3^{WW} H W^{+\mu\nu} \tilde{W}_{\mu\nu}^-$$

$$+ \frac{\kappa_2^{Z\gamma}}{(\Lambda_1^{Z\gamma})^2} m_Z^2 H Z_\mu \partial_\nu F^{\mu\nu} - a_2^{Z\gamma} H F^{\mu\nu} Z_{\mu\nu} - a_3^{Z\gamma} H F^{\mu\nu} \tilde{Z}_{\mu\nu} - \frac{1}{2} a_2^{\gamma\gamma} H F^{\mu\nu} F_{\mu\nu} - \frac{1}{2} a_3^{\gamma\gamma} H F^{\mu\nu} \tilde{F}_{\mu\nu}$$

YY

$$- \frac{1}{2} a_2^{gg} H G_a^{\mu\nu} G_{\mu\nu}^a - \frac{1}{2} a_3^{gg} H G_a^{\mu\nu} \tilde{G}_{\mu\nu}^a,$$

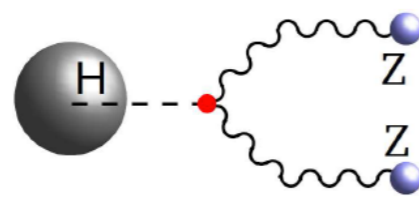
gg

Zγ

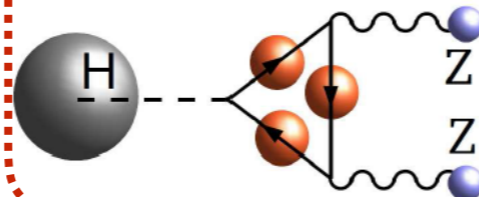
- or Amplitude

$$A = \frac{1}{v} \left( \left[ a_1 - e^{i\phi_{\Lambda Q}} \frac{(q_1 + q_2)^2}{(\Lambda_Q)^2} - e^{i\phi_{\Lambda 1}} \frac{q_1^2 + q_2^2}{(\Lambda_1)^2} \right] m_V^2 \epsilon_1^* \epsilon_2^* + a_2 f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu} + a_3 f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu} \right)$$

SM Higgs  $0^+$ :  $(a_1)$  CP

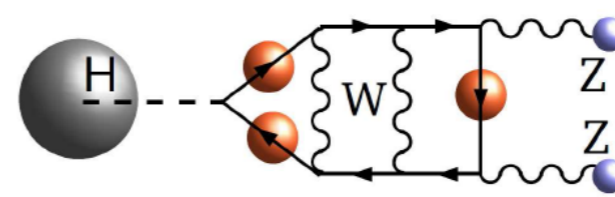


$\sim\%$   $(a_2, \Lambda_1, \Lambda_Q)$  CP



(or beyond SM)

$\sim 10^{-10}$  ?  $(a_3)$  CP



(or beyond SM)

tiny in SM

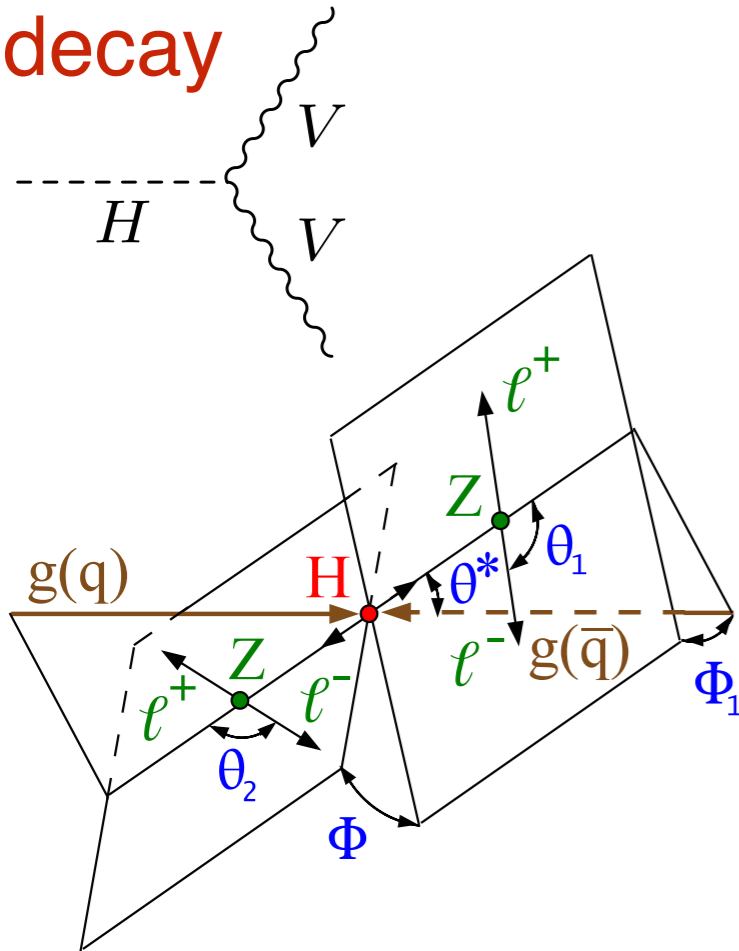
# Measurements: HVV and Hff

- Use  $VV \rightarrow H \rightarrow VV \rightarrow 4\ell$  as an example of HVV studies

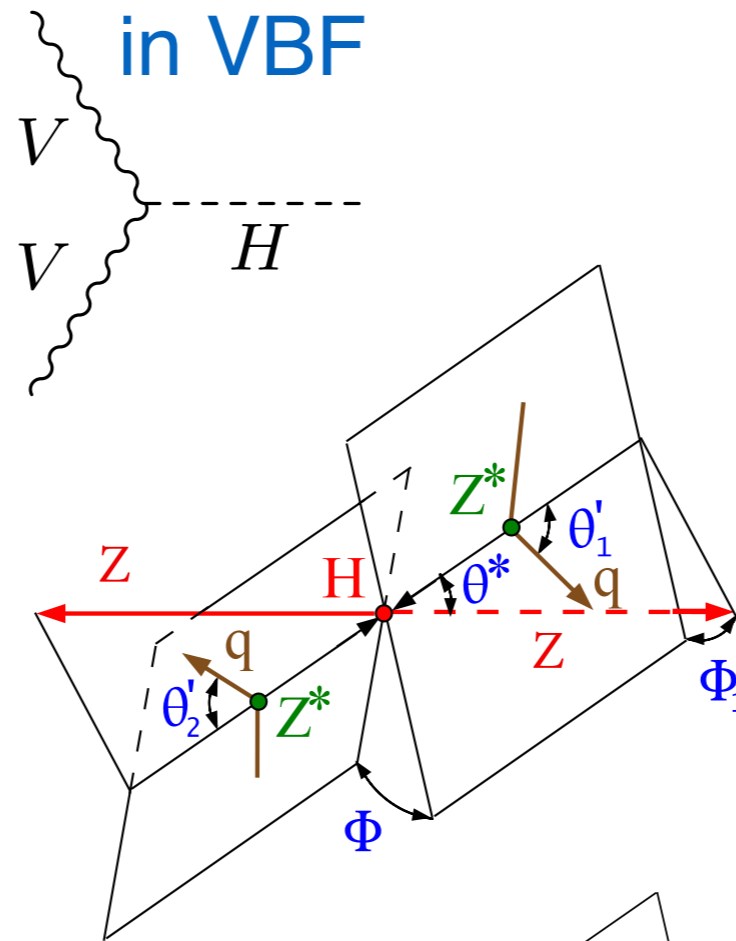
CMS-HIG-17-011

MC and techniques: MELA / JHUGen+MCFM

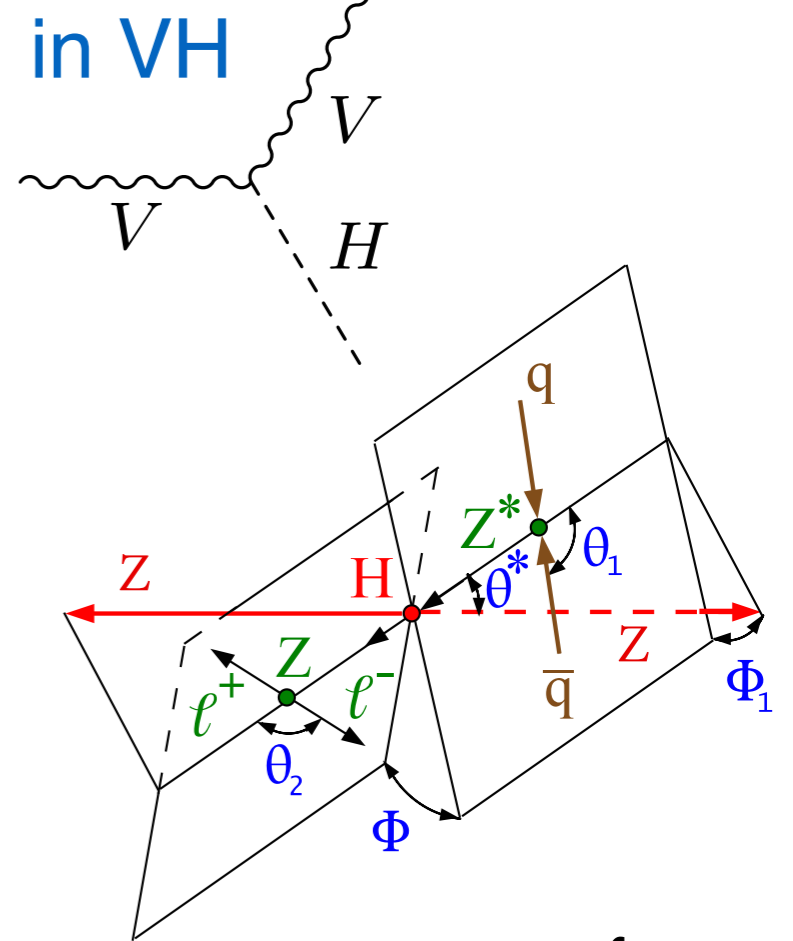
in decay



in VBF

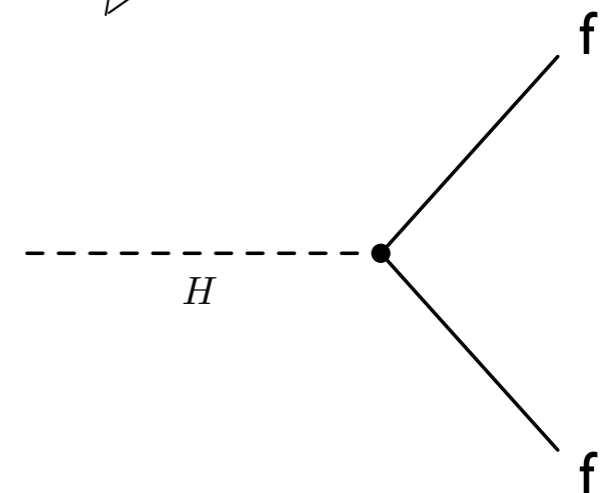
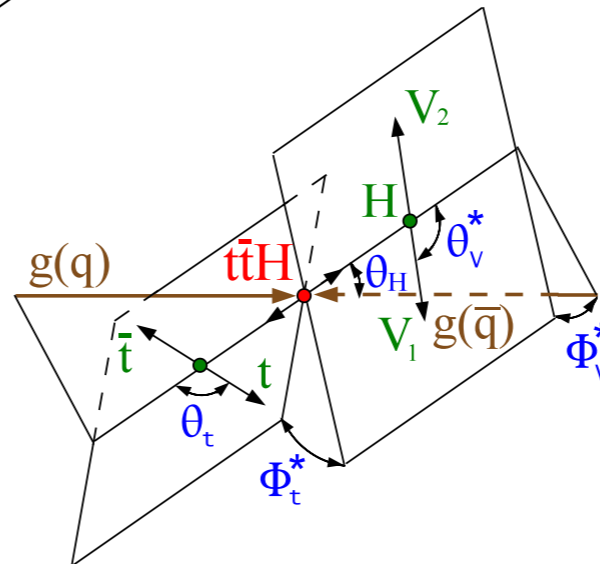


in VH



- No Hff yet  
not discussed today

$$\mathcal{A}(Hff\bar{f}) = -\frac{m_f}{v} \bar{\psi}_f (\kappa_f + i\tilde{\kappa}_f \gamma_5) \psi_f$$



# Measurements in Run1 and Run2

- Study of the mass and spin-parity of the Higgs boson candidate via its decays to Z boson pairs  
CMS-HIG-12-041, CMS arXiv:1212.6639

→  $f_{a3}$  in  $H \rightarrow 4\ell$  & hypothesis testing

- Measurement of the properties of a Higgs boson in the four-lepton final state  
CMS arXiv:1312.5353, CMS-HIG-13-002

$f_{a3}$  in  $H \rightarrow 4\ell$  & more hypothesis testing

- Constraints on the spin-parity and anomalous HVV couplings of the Higgs boson in proton collisions at 7 and 8 TeV  
CMS arXiv:1411.3441, CMS-HIG-14-018

$f_{a3}, f_{a2}, f_{\Lambda 1}$  in  $H \rightarrow WW, ZZ, Z\gamma^*, \gamma^*\gamma^*$  & testing

- Limits on the Higgs boson lifetime and width from its decay to four charged leptons  
CMS arXiv:1507.06656, CMS-HIG-14-036

$f_{\Lambda Q}$  in  $H^* \rightarrow 4\ell$  offshell

- Combined search for anomalous pseudoscalar HVV couplings in VH production and H to VV decay  
CMS arXiv:1602.04305, CMS-HIG-14-035

$f_{a3}$  in  $VH(\rightarrow bb)$  & combination

Run2

- Constraints on anomalous Higgs boson couplings in production and decay  $H \rightarrow 4\ell$   
CMS-PAS-HIG-17-011 (also HIG-16-033)

$f_{a3}, f_{a2}, f_{\Lambda 1}, f_{\Lambda 1}^{Z\gamma}$  in  $H \rightarrow 4\ell, \text{VBF}, \text{VH}$

- Evidence for the spin-0 nature of the Higgs boson using ATLAS data  
ATLAS arXiv:1307.1432

hypothesis testing

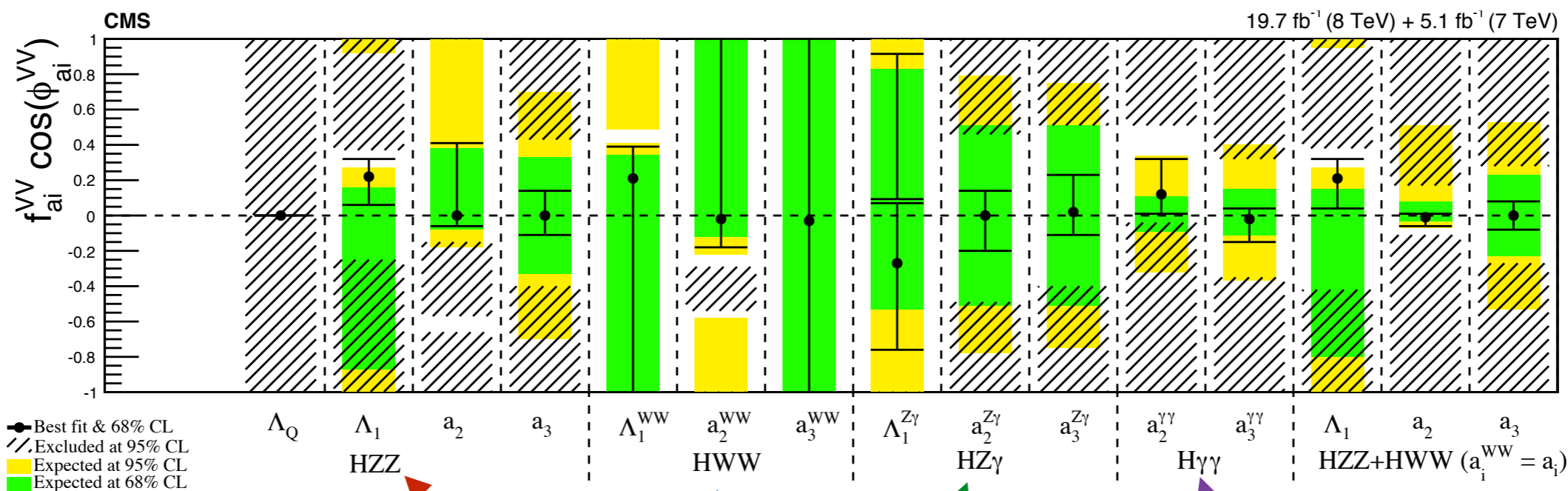
- Study of the spin and parity of the Higgs boson in diboson decays with the ATLAS detector  
ATLAS arXiv:1506.05669

$\{f_{a3}\}, \{f_{a2}\}$  in  $H \rightarrow ZZ, WW$  & hypothesis testing

- Test of CP Invariance in vector-boson fusion production of the Higgs boson using the Optimal Observable method in the ditau decay channel with the ATLAS detector  
ATLAS arXiv:1602.04516:

$\{f_{a3}\}$  in  $\text{VBF}(H \rightarrow \tau\tau)$

# Summary of Measurements



$$L(HVV) \sim a_1 \frac{m_Z^2}{2} H Z^\mu Z_\mu - \frac{\kappa_1}{(\Lambda_1)^2} m_Z^2 H Z^\mu \square Z_\mu - \frac{\kappa_3}{2(\Lambda_Q)^2} m_Z^2 \square H Z^\mu Z_\mu - \frac{1}{2} a_2 H Z^{\mu\nu} Z_{\mu\nu} - \frac{1}{2} a_3 H Z^{\mu\nu} \tilde{Z}_{\mu\nu}$$

$$+ a_1^{WW} m_W^2 H W^{+\mu} W_\mu^- - \frac{1}{(\Lambda_1^{WW})^2} m_W^2 H (\kappa_1^{WW} W_\mu^- \square W^{+\mu} + \kappa_2^{WW} W_\mu^+ \square W^{-\mu}) - \frac{\kappa_3^{WW}}{(\Lambda_Q^{WW})^2} m_W^2 \square H W^{+\mu} W_\mu^- - a_2^{WW} H W^{+\mu\nu} W_{\mu\nu}^- - a_3^{WW} H W^{+\mu\nu} \tilde{W}_{\mu\nu}^-$$

$$+ \frac{\kappa_2^{Z\gamma}}{(\Lambda_1^{Z\gamma})^2} m_Z^2 H Z_\mu \partial_\nu F^{\mu\nu} - a_2^{Z\gamma} H F^{\mu\nu} Z_{\mu\nu} - a_3^{Z\gamma} H F^{\mu\nu} \tilde{Z}_{\mu\nu}$$

$$- \frac{1}{2} a_2^{gg} H G_a^{\mu\nu} G_{\mu\nu}^a - \frac{1}{2} a_3^{gg} H G_a^{\mu\nu} \tilde{G}_{\mu\nu}^a$$

$$- \frac{1}{2} a_2^{\gamma\gamma} H F^{\mu\nu} F_{\mu\nu} - \frac{1}{2} a_3^{\gamma\gamma} H F^{\mu\nu} \tilde{F}_{\mu\nu}$$

ZZ

WW

YY

Zγ

gg

# Summary of Measurements

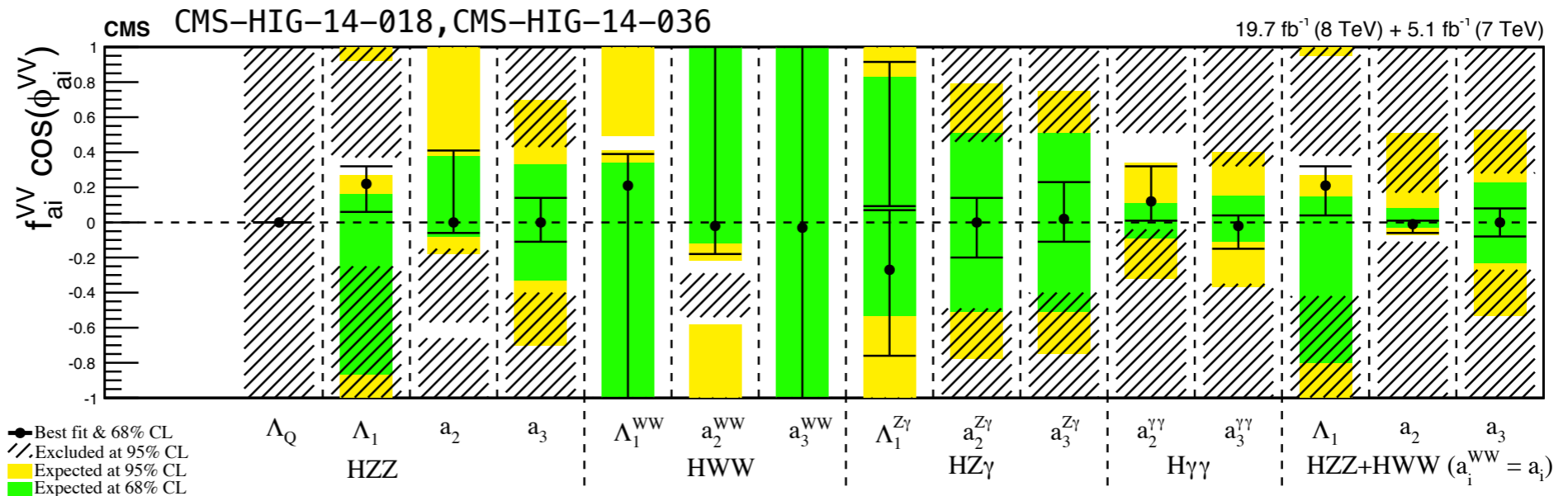
## $H^0$ SPIN AND CP PROPERTIES

VALUE DOCUMENT ID TECN COMMENT

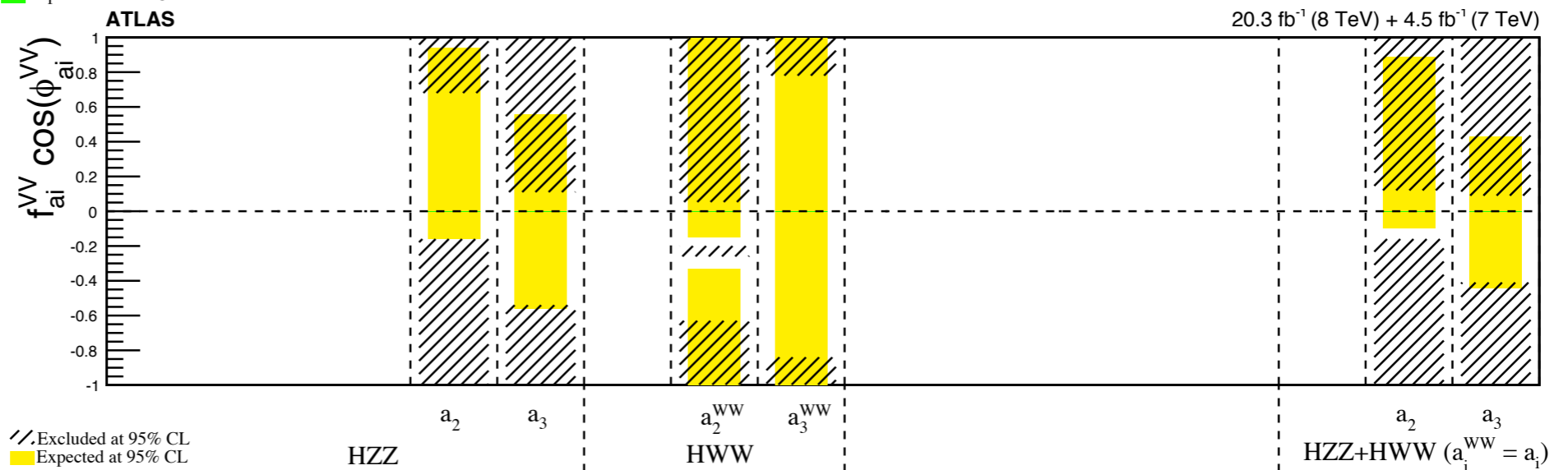
• • • We do not use the following data for averages, fits, limits, etc. • • •

- Run1 in  $H \rightarrow VV$  (more on production, but same measurements)

CMS:



ATLAS:



arXiv:1506.05669



# Experimental Observables and Measurements

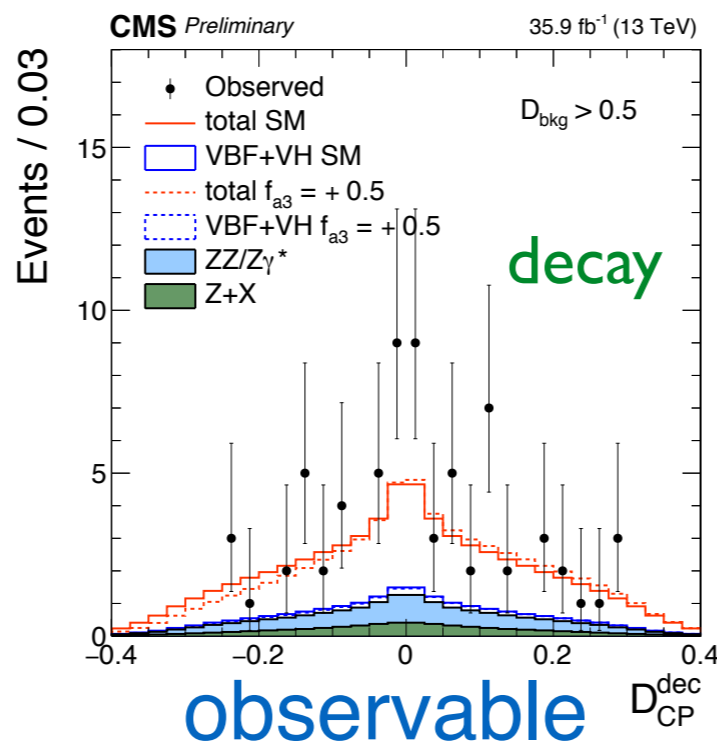
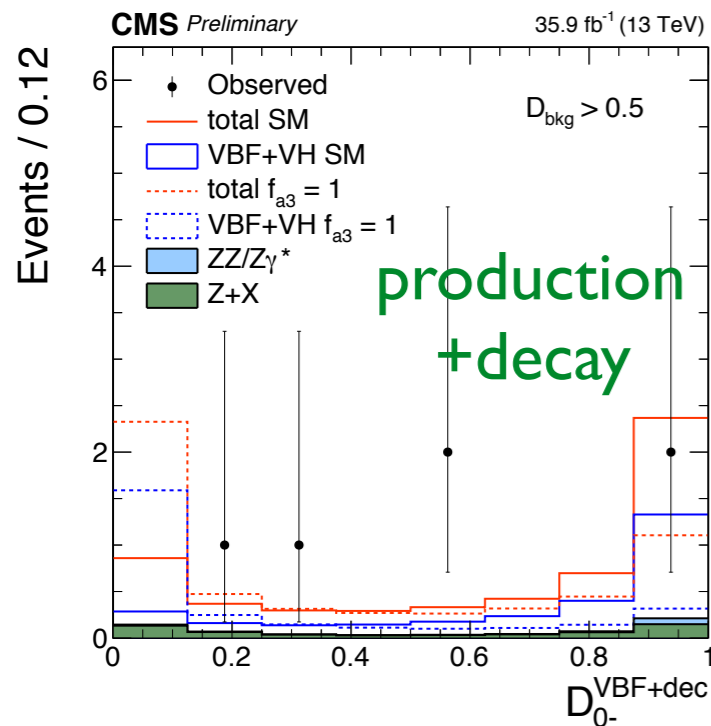
**Measurements:**  $f_{a3} = \frac{|a_3|^2 \sigma_3}{|a_1|^2 \sigma_1 + |a_2|^2 \sigma_2 + |a_3|^2 \sigma_3 + \tilde{\sigma}_{\Lambda 1} / (\Lambda_1)^4 + \dots}$ ,  $\phi_{a3} = \arg\left(\frac{a_3}{a_1}\right)$ ,

$$(1 - f_{an}) \mathcal{T}_{a1}^{i,k}(\vec{x}) + f_{an} \mathcal{T}_{an}^{i,k}(\vec{x}) + \sqrt{f_{an}(1 - f_{an})} \mathcal{T}_{a1,an}^{i,k}(\vec{x}; \phi_{an})$$

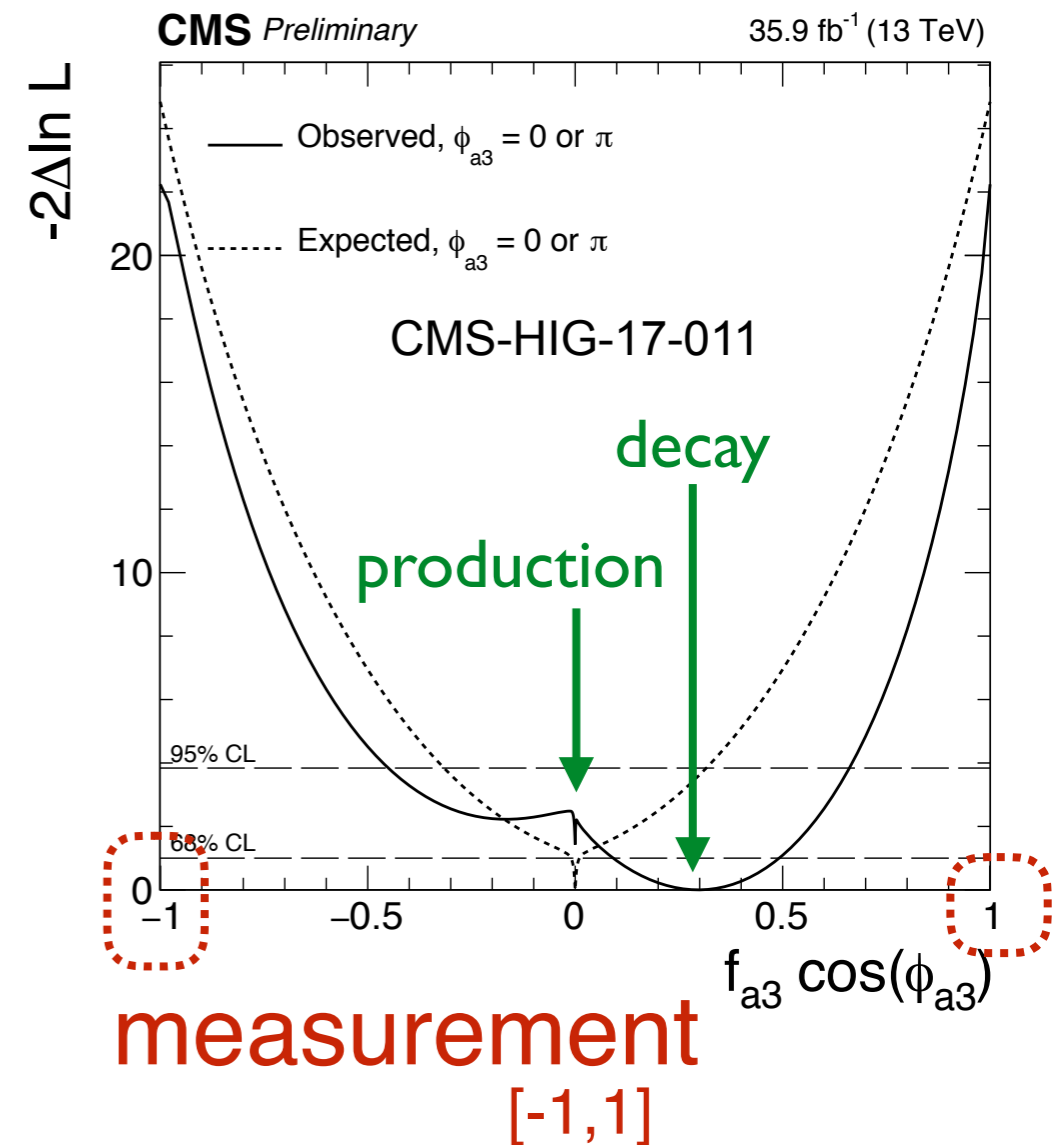
## Optimal MELO observables in 3D fit

$$D_{\text{bkg}} \quad D_{0-} = \frac{P_{0+}}{P_{0+} + P_{0-}} \quad D_{\text{CP}} = \frac{P_{\text{interference}}}{P_{0+} + P_{0-}}$$

production&decay information in each category



## VV → H → VV → 4ℓ



# Experimental Observables and Measurements

CMS-HIG-17-011

Observables:

category	VBF 2 jet-tagged	VH hadronic-tagged	Untagged
target	$qq'VV \rightarrow qq'H \rightarrow (jj)(4\ell)$	$q\bar{q} \rightarrow VH \rightarrow (jj)(4\ell)$	$H \rightarrow 4\ell$
selection	$\mathcal{D}_{2\text{jet}}^{\text{VBF}}$ or $\mathcal{D}_{2\text{jet}}^{\text{VBF,BSM}} > 0.5$	$\mathcal{D}_{2\text{jet}}^{\text{ZH}}$ or $\mathcal{D}_{2\text{jet}}^{\text{ZH,BSM}}$ or $\mathcal{D}_{2\text{jet}}^{\text{WH}}$ or $\mathcal{D}_{2\text{jet}}^{\text{WH,BSM}} > 0.5$	not VBF-jets not VH-jets
$f_{a3}$ obs.	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{0-}^{\text{VBF+dec}}, \mathcal{D}_{\text{CP}}^{\text{VBF}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{0-}^{\text{VH+dec}}, \mathcal{D}_{\text{CP}}^{\text{VH}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{0-}^{\text{dec}}, \mathcal{D}_{\text{CP}}^{\text{dec}}$
$f_{a2}$ obs.	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{0h+}^{\text{VBF+dec}}, \mathcal{D}_{\text{int}}^{\text{VBF}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{0h+}^{\text{VH+dec}}, \mathcal{D}_{\text{int}}^{\text{VH}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{0h+}^{\text{dec}}, \mathcal{D}_{\text{int}}^{\text{dec}}$
$f_{\Lambda 1}$ obs.	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{\Lambda 1}^{\text{VBF+dec}}, \mathcal{D}_{0h+}^{\text{VBF+dec}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{\Lambda 1}^{\text{VH+dec}}, \mathcal{D}_{0h+}^{\text{VH+dec}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{\Lambda 1}^{\text{dec}}, \mathcal{D}_{0h+}^{\text{dec}}$
$f_{\Lambda 1}^{\text{Z}\gamma}$ obs.	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{\Lambda 1}^{\text{Z}\gamma, \text{VBF+dec}}, \mathcal{D}_{0h+}^{\text{VBF+dec}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{\Lambda 1}^{\text{Z}\gamma, \text{VH+dec}}, \mathcal{D}_{0h+}^{\text{VH+dec}}$	$\mathcal{D}_{\text{bkg}}, \mathcal{D}_{\Lambda 1}^{\text{Z}\gamma, \text{dec}}, \mathcal{D}_{0h+}^{\text{dec}}$

Measurements:

$$f_{a3} = \frac{|a_3|^2 \sigma_3}{|a_1|^2 \sigma_1 + |a_2|^2 \sigma_2 + |a_3|^2 \sigma_3 + \tilde{\sigma}_{\Lambda 1} / (\Lambda_1)^4 + \dots}, \quad \phi_{a3} = \arg\left(\frac{a_3}{a_1}\right),$$

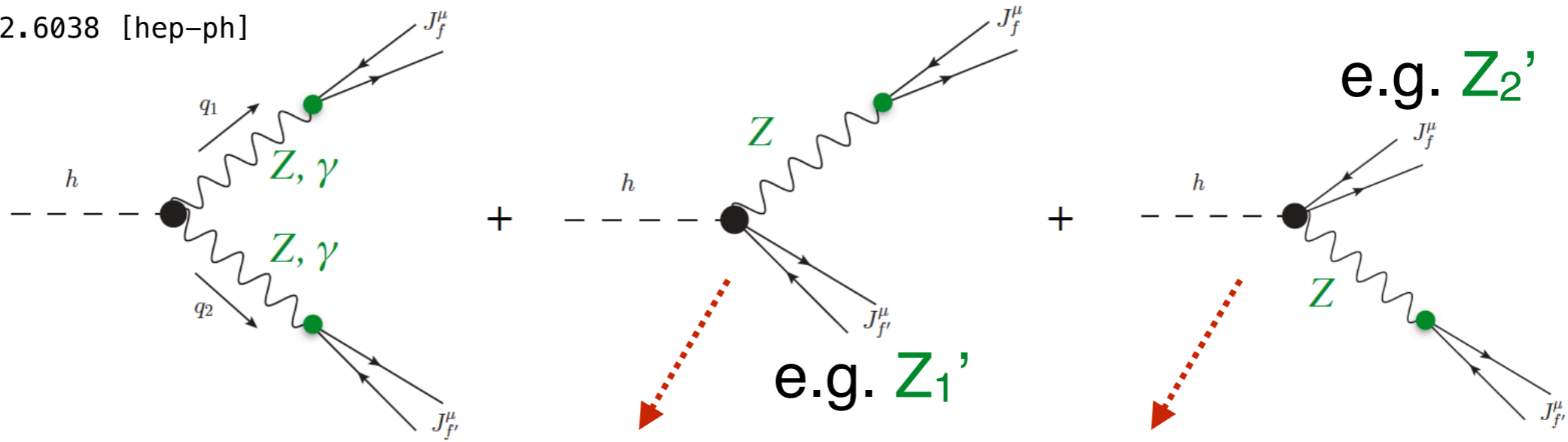
- 1 or 2 measurements at a time (!)

Anomalous Coupling	Coupling Phase	Effective Fraction	Translation Constant
$a_3$	$\phi_{a3}$	$f_{a3}$	$\sigma_1 / \sigma_3 = 6.53$
$a_2$	$\phi_{a2}$	$f_{a2}$	$\sigma_1 / \sigma_2 = 2.77$
$\Lambda_1$	$\phi_{\Lambda 1}$	$f_{\Lambda 1}$	$\sigma_1 / \tilde{\sigma}_{\Lambda 1} = 1.47 \times 10^4 \text{ TeV}^{-4}$
$\Lambda_1^{\text{Z}\gamma}$	$\phi_{\Lambda 1}^{\text{Z}\gamma}$	$f_{\Lambda 1}^{\text{Z}\gamma}$	$\sigma_1' / \tilde{\sigma}_{\Lambda 1}^{\text{Z}\gamma} = 5.80 \times 10^3 \text{ TeV}^{-4}$

$$\frac{|a_i|}{|a_1|} = \sqrt{f_{ai} / f_{a1}} \times \sqrt{\sigma_1 / \sigma_i}, \quad f_{a1} = (1 - f_{\Lambda 1} - f_{a2} - f_{a3} - \dots)$$

# Contact terms and HVV amplitude

P0 arXiv:1412.6038 [hep-ph]



$$\left( \kappa_{ZZ} \frac{g_Z^e g_Z^\mu}{P_Z(q_1^2) P_Z(q_2^2)} + \frac{\epsilon_{Ze} g_Z^\mu}{m_Z^2 P_Z(q_2^2)} + \frac{\epsilon_{Z\mu} g_Z^e}{m_Z^2 P_Z(q_1^2)} + \Delta_1^{\text{SM}}(q_1^2, q_2^2) \right) g^{\alpha\beta}$$

combination of  $\Lambda_1$  and  $\Lambda_1^{Z\gamma}$ 
tiny SM

couplings in PO formulation

couplings in AC or EFT formulation

up to 26 (?) contact terms  
in  $qq' \rightarrow q''q'''$  ( $H \rightarrow 4\ell$ )  
(e.g.  $W'^+us$ )

$f_R = e_R, \mu_R, \tau_R, u_R, d_R, s_R, c_R, b_R, t_R \rightarrow$

$f_L = e_L, \mu_L, \tau_L, u_L, d_L, s_L, c_L, b_L, t_L \rightarrow$

$\kappa_{ZZ}$

$\epsilon_{ZZ}$

$\epsilon_{ZZ}^{CP}$

$\epsilon_{ZfR}$

$\epsilon_{ZfL}$

$\frac{v}{2} \left( a_1 - 2 \frac{m_Z^2}{(\Lambda_1)^2} \cos \phi_{\Lambda 1} \right)$

$va_2$

$va_3$

$-g_Z^{fR} \frac{vm_Z^2}{2(\Lambda_1)^2} \cos \phi_{\Lambda 1} + e \frac{vm_Z^2}{2(\Lambda_1^{Z\gamma})^2} \cos \phi_{\Lambda 1}^{Z\gamma}$

$-g_Z^{fL} \frac{vm_Z^2}{2(\Lambda_1)^2} \cos \phi_{\Lambda 1} + e \frac{vm_Z^2}{2(\Lambda_1^{Z\gamma})^2} \cos \phi_{\Lambda 1}^{Z\gamma}$

$\mu$  &  $f_{\Lambda 1}$

$f_{a2}$

$f_{a3}$

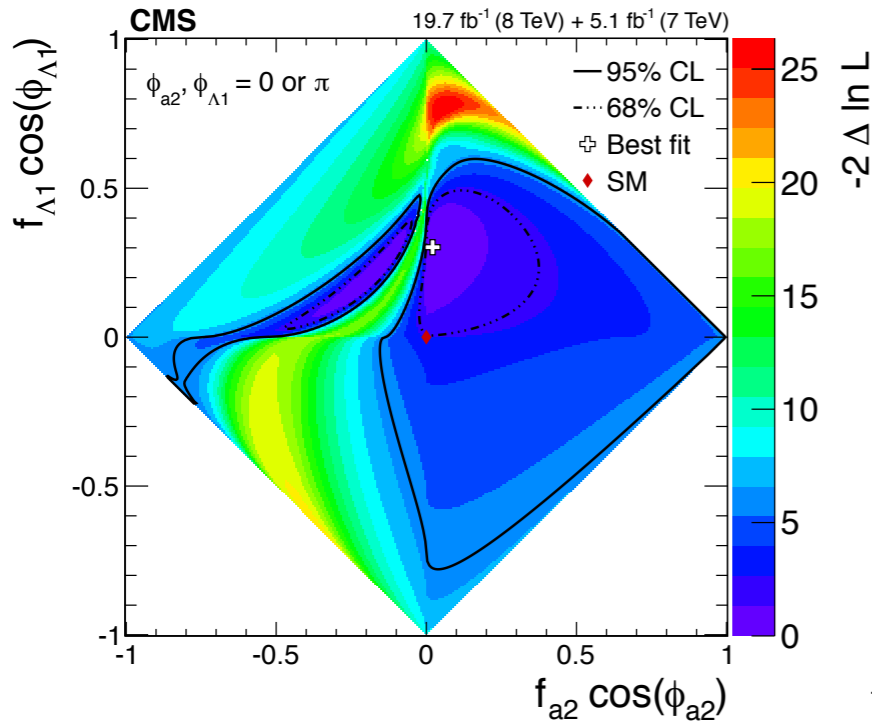
SM Zff

thanks to David Marzocca

CMS-HIG-17-011

# Contact terms and HVV amplitude

- In decay  $H \rightarrow VV \rightarrow 4\ell$  and with  $\ell$  flavor universality ( $\epsilon_{Z\mu} = \epsilon_{Ze}$ ) contact terms ( $\epsilon_{Z\ell_R}, \epsilon_{Z\ell_L}$ )  $\sim$  amplitudes ( $\Lambda_1, \Lambda_1^{Z\gamma}$ )



- Perform 2D fit ( $\Lambda_1, \Lambda_1^{Z\gamma}$ )  
get ( $\epsilon_{Z\ell_R}, \epsilon_{Z\ell_L}$ ) or ( $\Lambda_1, \Lambda_1^{Z\gamma}$ )

← ( $f_{\Lambda 1}, f_{a 2}$ ) done in the past, can do ( $f_{\Lambda 1}, f_{\Lambda 1}^{Z\gamma}$ )

couplings in PO formulation	couplings in AC or EFT formulation
$\kappa_{ZZ}$	$\frac{v}{2} \left( a_1 - 2 \frac{m_Z^2}{(\Lambda_1)^2} \cos \phi_{\Lambda 1} \right)$
$\epsilon_{ZZ}$	$va_2$
$\epsilon_{ZZ}^{CP}$	$va_3$
	$-\frac{g_Z^{fR}}{2(\Lambda_1)^2} \frac{vm_Z^2}{\cos \phi_{\Lambda 1}} + e \frac{vm_Z^2}{2(\Lambda_1^{Z\gamma})^2} \cos \phi_{\Lambda 1}^{Z\gamma}$
	$-\frac{g_Z^{fL}}{2(\Lambda_1)^2} \frac{vm_Z^2}{\cos \phi_{\Lambda 1}} + e \frac{vm_Z^2}{2(\Lambda_1^{Z\gamma})^2} \cos \phi_{\Lambda 1}^{Z\gamma}$

$\mu$  &  $f_{\Lambda 1}$

$f_{a 2}$

$f_{a 3}$

$f_R = e_R, \mu_R, \tau_R, u_R, d_R, s_R, c_R, b_R, t_R \rightarrow$

$f_L = e_L, \mu_L, \tau_L, u_L, d_L, s_L, c_L, b_L, t_L \rightarrow$

thanks to David Marzocca

SM Zff

CMS-HIG-17-011

# Contact terms and HVV amplitude

- In decay  $H \rightarrow VV \rightarrow 4\ell$  and with  $\ell$  flavor universality ( $\epsilon_{Z\mu} = \epsilon_{Ze}$ ) contact terms ( $\epsilon_{Z\ell_R}, \epsilon_{Z\ell_L}$ )  $\sim$  amplitudes ( $\Lambda_1, \Lambda_1^{Z\gamma}$ )

- In production+decay  $WW' + ZZ' \rightarrow H \rightarrow VV \rightarrow 4\ell$

flavor universality (SM) helps less ( $\epsilon_{Z\mu} = \epsilon_{Ze} \sim \epsilon_{Zu} = \epsilon_{Zc} \sim \epsilon_{Zd} = \epsilon_{Zs} = \epsilon_{Zb}$ )

need both  $ZZ'$  and  $WW'$  fusion ( $\epsilon_{W\mu}, \epsilon_{We}, \epsilon_{Wu}, \epsilon_{Ws}, \epsilon_{Wd}, \epsilon_{Wc}, \epsilon_{Wb}$ )

we cannot deal with 14  $ZZ'$  + 12  $WW'$  (?) contact terms (still no FCNC)

opted to relate as in Zff and Wff

up to 26 (?) contact terms  
in  $qq' \rightarrow q''q''' (H \rightarrow 4\ell)$

	couplings in PO formulation	couplings in AC or EFT formulation	
	$\kappa_{ZZ}$	$\frac{v}{2} \left( a_1 - 2 \frac{m_Z^2}{(\Lambda_1)^2} \cos \phi_{\Lambda 1} \right)$	$\mu$ & $f_{\Lambda 1}$
	$\epsilon_{ZZ}$	$va_2$	$f_{a2}$
	$\epsilon_{ZZ}^{CP}$	$va_3$	$f_{a3}$
$f_R = e_R, \mu_R, \tau_R, u_R, d_R, s_R, c_R, b_R, t_R \rightarrow$	$\epsilon_{ZfR}$	$-g_Z^{fR} \frac{vm_Z^2}{2(\Lambda_1)^2} \cos \phi_{\Lambda 1} + e \frac{vm_Z^2}{2(\Lambda_1^{Z\gamma})^2} \cos \phi_{\Lambda 1}^{Z\gamma}$	
$f_L = e_L, \mu_L, \tau_L, u_L, d_L, s_L, c_L, b_L, t_L \rightarrow$	$\epsilon_{ZfL}$	$-g_Z^{fL} \frac{vm_Z^2}{2(\Lambda_1)^2} \cos \phi_{\Lambda 1} + e \frac{vm_Z^2}{2(\Lambda_1^{Z\gamma})^2} \cos \phi_{\Lambda 1}^{Z\gamma}$	

thanks to David Marzocca

SM Zff

CMS-HIG-17-011

# Contact terms and HVV amplitude

- In **decay**  $H \rightarrow VV \rightarrow 4\ell$  and with  $\ell$  **flavor universality** ( $\epsilon_{Z\mu} = \epsilon_{Ze}$ )  
contact terms ( $\epsilon_{Z\ell_R}, \epsilon_{Z\ell_L}$ )  $\sim$  amplitudes ( $\Lambda_1, \Lambda_1^{ZY}$ )

- In **production+decay**  $WW' + ZZ' \rightarrow H \rightarrow VV \rightarrow 4\ell$

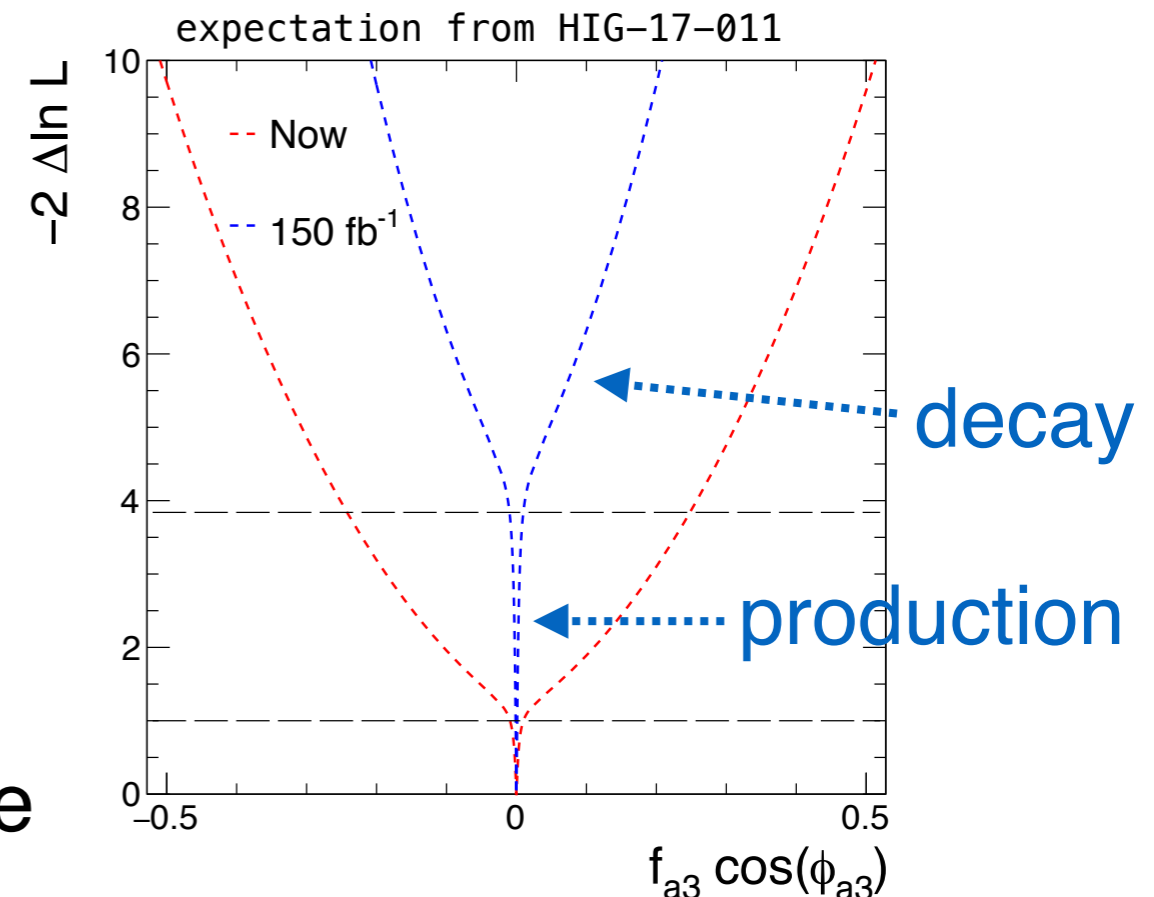
**flavor universality** (SM) helps less ( $\epsilon_{Z\mu} = \epsilon_{Ze} \sim \epsilon_{Zu} = \epsilon_{Zc} \sim \epsilon_{Zd} = \epsilon_{Zs} = \epsilon_{Zb}$ )

need both **ZZ'** and **WW'** fusion ( $\epsilon_{W\mu}, \epsilon_{We}, \epsilon_{Wu}, \epsilon_{Ws}, \epsilon_{Wd}, \epsilon_{Wc}, \epsilon_{Wb}$ )

we cannot deal with 14 ZZ'+12 WW' (?) contact terms (still no FCNC)

opted to relate as in Zff and Wff

- In Run2:  
most focus will be on **production**  
need practical way to relate couplings  
assume  $a_i^{ZZ} = a_i^{WW}$   
little difference to distinguish otherwise



# CMS vs. AC vs. EFT vs. PO vs...

- There is absolutely no difference between CMS vs. AC vs. EFT vs. PO except for treatment of the contact terms

- Here is an exercise of **CMS** → **AC=EFT=PO**

in communication to David Marzocca in Feb.2017:

- (1) Following <https://arxiv.org/pdf/1411.3441.pdf>, we find that

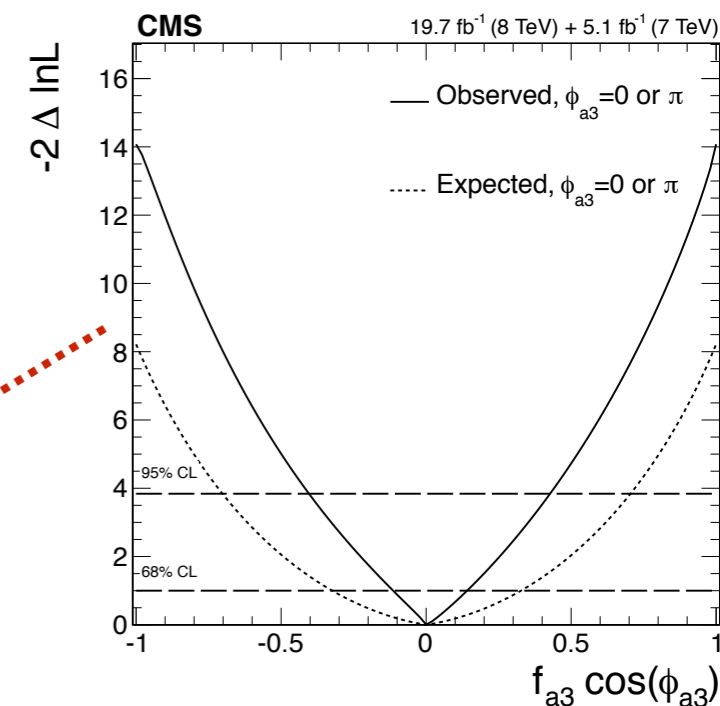
$$-0.40 < f_{a3} \cos(\phi_{a3}) < 0.43$$

- (2) Following <https://arxiv.org/pdf/1411.3441.pdf> and Table I for conversion from  $f_{a3}$  to  $a_3$ , we find that

$$-2.05 < \frac{a_3}{a_1} < 2.19$$

- (3) Following Table II, we find that

$$-4.10 < \frac{\epsilon_{ZZ}^{CP}}{\kappa_{ZZ}} < 4.38$$



(1)

$$\frac{|a_i|}{|a_1|} = \sqrt{f_{ai}/f_{a1}} \times \sqrt{\sigma_1/\sigma_i}$$

Anomalous Coupling	Coupling Phase	Effective Fraction	Translation Constant
$a_3$	$\phi_{a3}$	$f_{a3}$	$\sigma_1/\sigma_3 = 6.53$
$a_2$	$\phi_{a2}$	$f_{a2}$	(3) $\sigma_1/\sigma_2 = 2.77$
$\Lambda_1$	$\phi_{\Lambda 1}$	$f_{\Lambda 1}$	$\sigma_1/\tilde{\sigma}_{\Lambda 1} = 1.47 \times 10^4 \text{ TeV}^{-4}$
$\Lambda_1^{Z\gamma}$	$\phi_{\Lambda 1}^{Z\gamma}$	$f_{\Lambda 1}^{Z\gamma}$	$\sigma_1'/\tilde{\sigma}_{\Lambda 1}^{Z\gamma} = 5.80 \times 10^3 \text{ TeV}^{-4}$

$f_{a2}^{VV}, f_{a3}^{VV}$  —invariant of notation,  $[-1,+1]$ , meaning of cross section

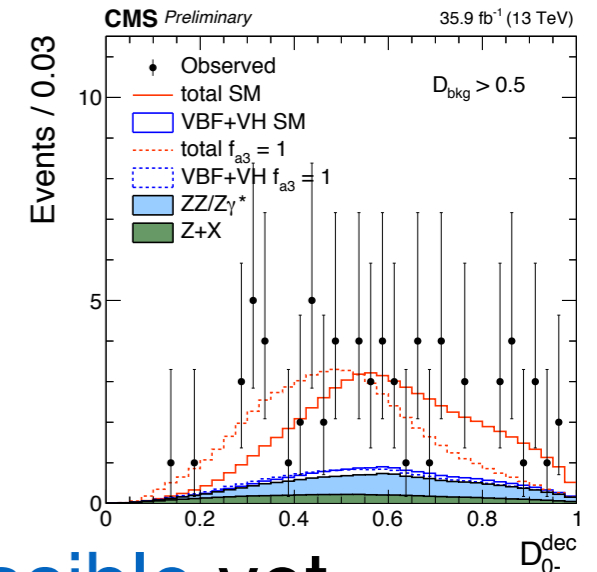
# Issues (1) **observables** and (2) **measurements**

- Main issues facing experimental measurements:

(1) how to **optimize observables** for max. sensitivity  
typically limit to 1-2 parameters with **~3D fit**

multi-parameter fits possible, e.g. 8D in  $H \rightarrow 4\ell$

but limit to decay-only, not main focus, **13D not feasible yet...**



CMS introduced **optimal discriminants**, ATLAS picked the idea (OO)  
but do not need to agree between CMS / ATLAS

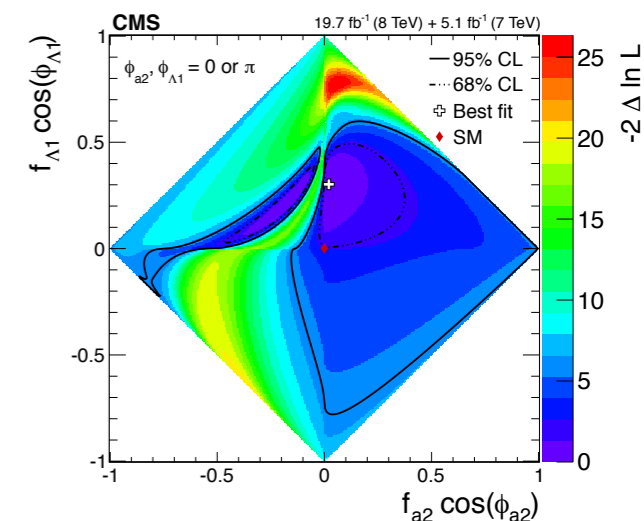
(2) how to reduce the number of **free parameters**

measure **1 or 2 couplings** at a time

**others relate** (e.g.  $a_i^{ZZ} = a_i^{WW}$ ) or **set to zero/SM**

reality: not practical to measure all at once

agreement between CMS / ATLAS ? (mostly agreed so far)





# Issue (3) $q^2$ validity

(3) VBF and VH limits are tighter than  $H \rightarrow VV$

because of **larger  $q^2$** , cannot continue forever

possible to test validity e.g. with  $p_T$  cuts (correlated with  $q^2$ ), but:

— **not consistent** between VBF, VH,  $H \rightarrow VV$

— **nightmare** for experimentalists

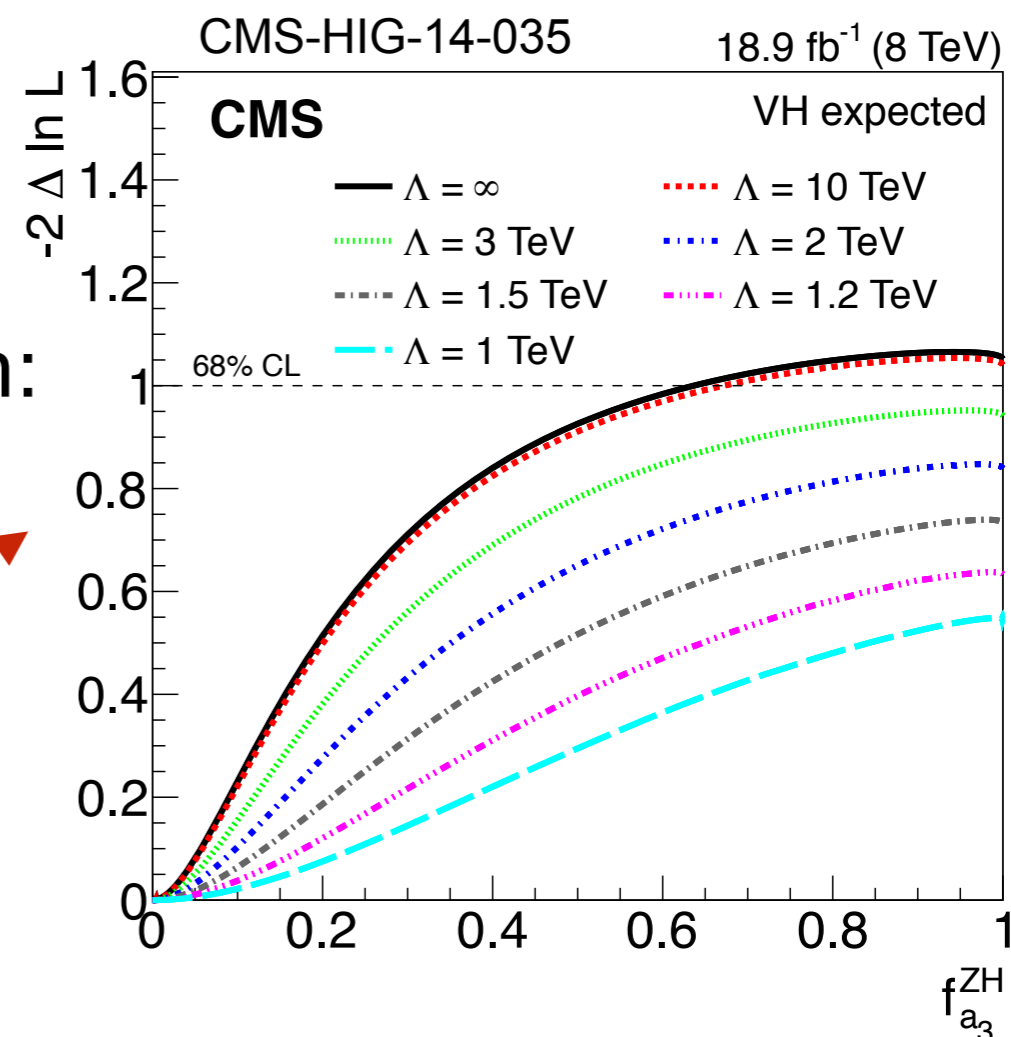
(redo everything for each selection)

Adopted **practical** and **coherent** approach:

refit with a  $\Lambda^2$  cut-off on  $q^2$

(data fixed, **signal model** changes)

$$g'_i \times \frac{\Lambda_i^4}{(\Lambda_i^2 + |q_1^2|)(\Lambda_i^2 + |q_2^2|)}$$

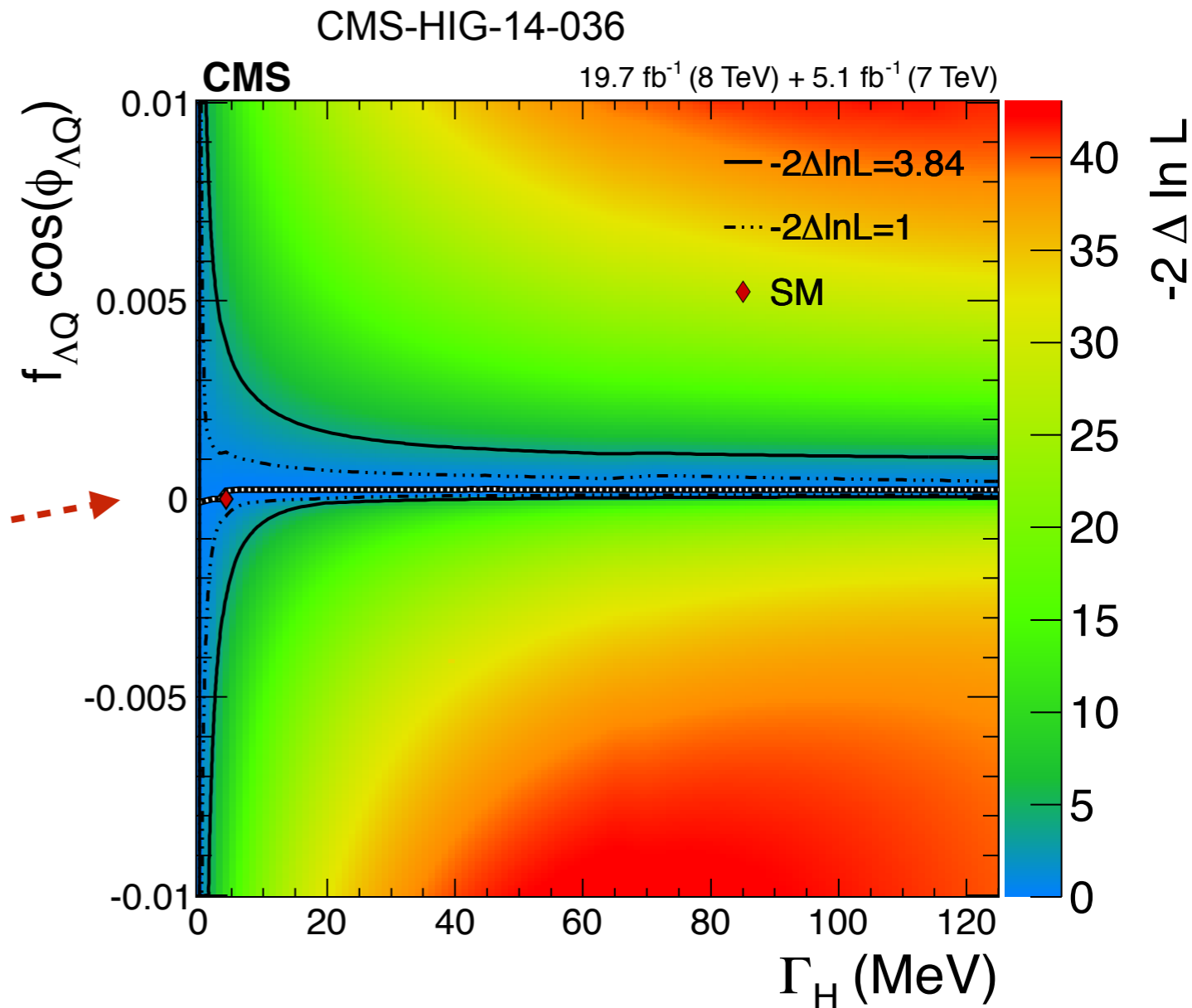


# Issue (4) extending to offshell

- ~10% of  $H \rightarrow 4\ell$  in offshell, additional  $(q_1+q_2)^2$  modeling but we already deal with  $q^2$  modeling

view as **couplings** for given  $\Gamma_H$  or  $\Gamma_H$  for given variation of **couplings**

tested  $f_{\Lambda Q}$  for given  $\Gamma_H$

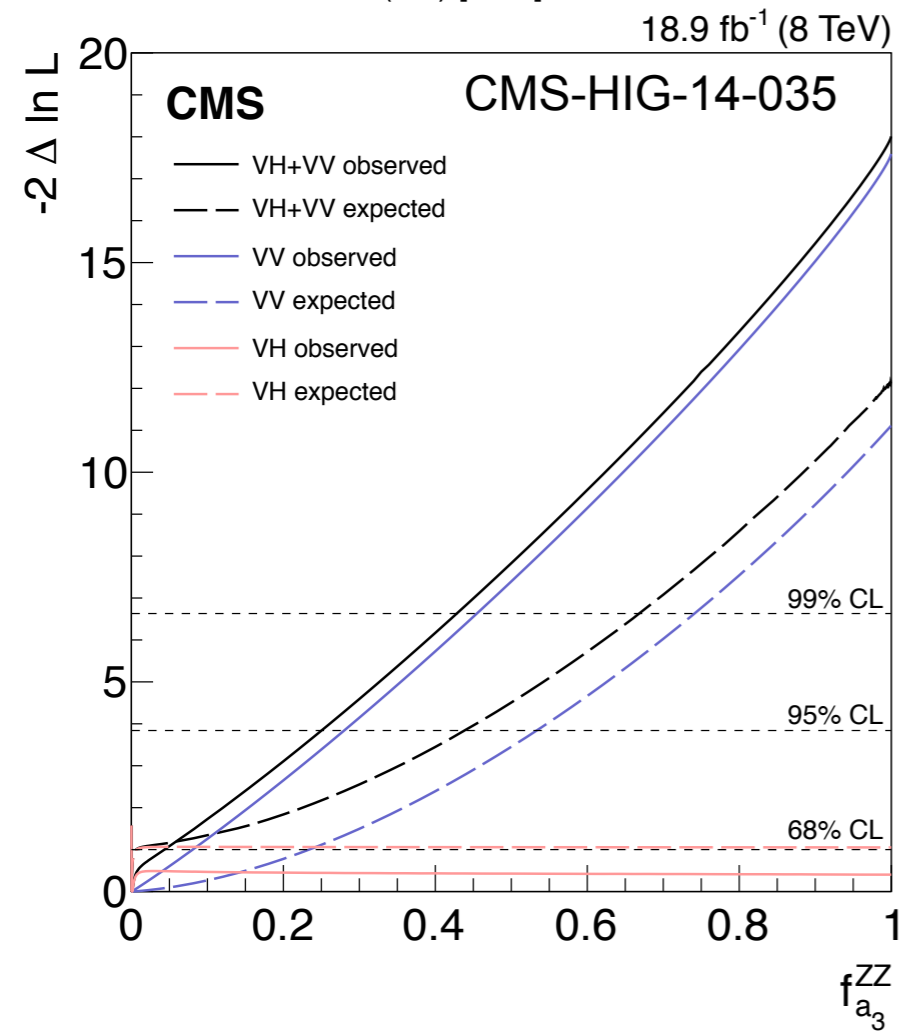
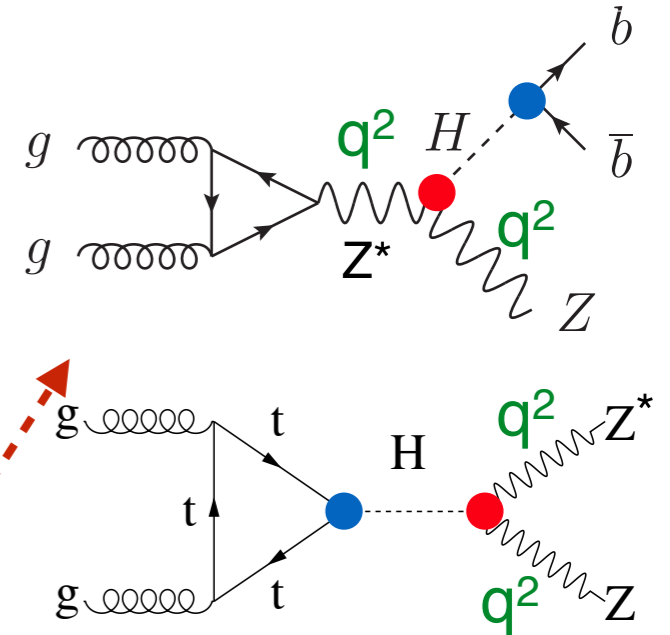
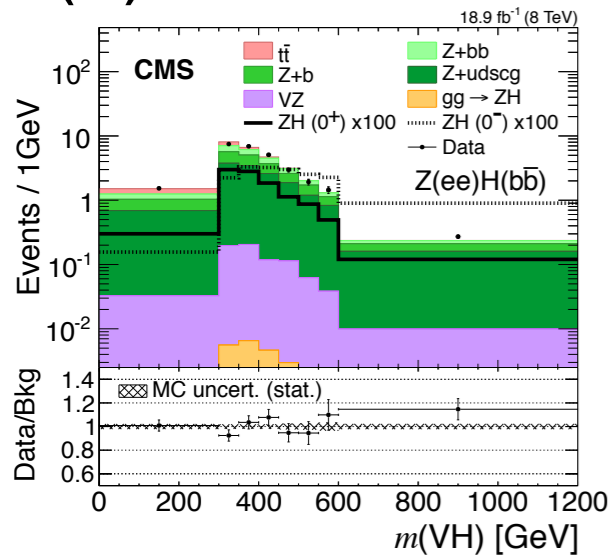


$$A = \frac{1}{v} \left( \left[ a_1 - e^{i\phi_{\Lambda Q}} \frac{(q_1 + q_2)^2}{(\Lambda_Q)^2} - e^{i\phi_{\Lambda 1}} \frac{q_1^2 + q_2^2}{(\Lambda_1)^2} \right] m_V^2 \epsilon_1^* \epsilon_2^* + a_2 f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu} + a_3 f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu} \right)$$

# Issue (5) relate the yields in combination

(5) We can relate the yields, e.g. VH(bb) vs H→VV

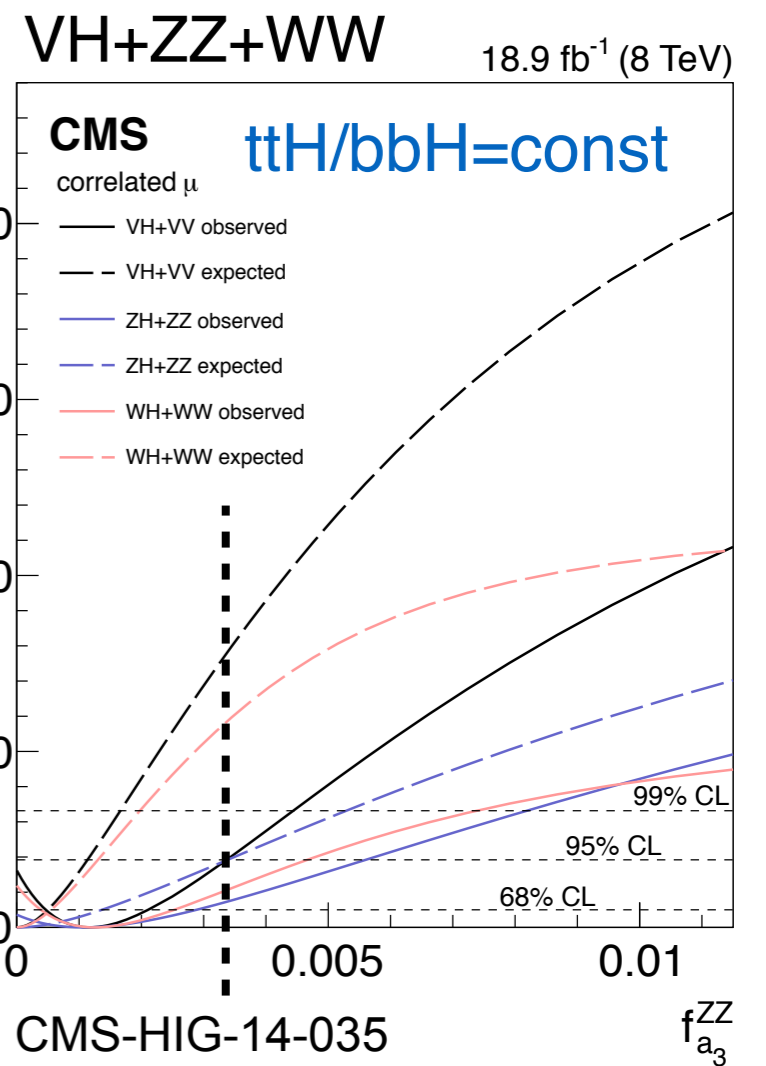
can get much tighter constraint  
but assumption  $ttH/bbH=const$   
and  $q^2$  validity



VH:  $f_{a3} < 1$  at 95% CL  
H→VV:  $f_{a3} < 0.28$

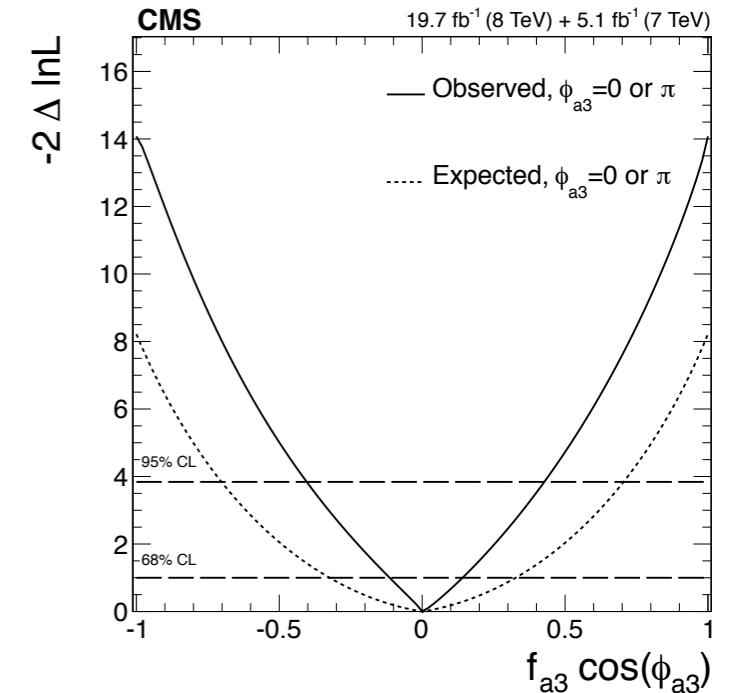
Proper combination  
(not Tevatron approach)

VH&VV:  $f_{a3} < 0.0034$



# Issue (6) complex couplings

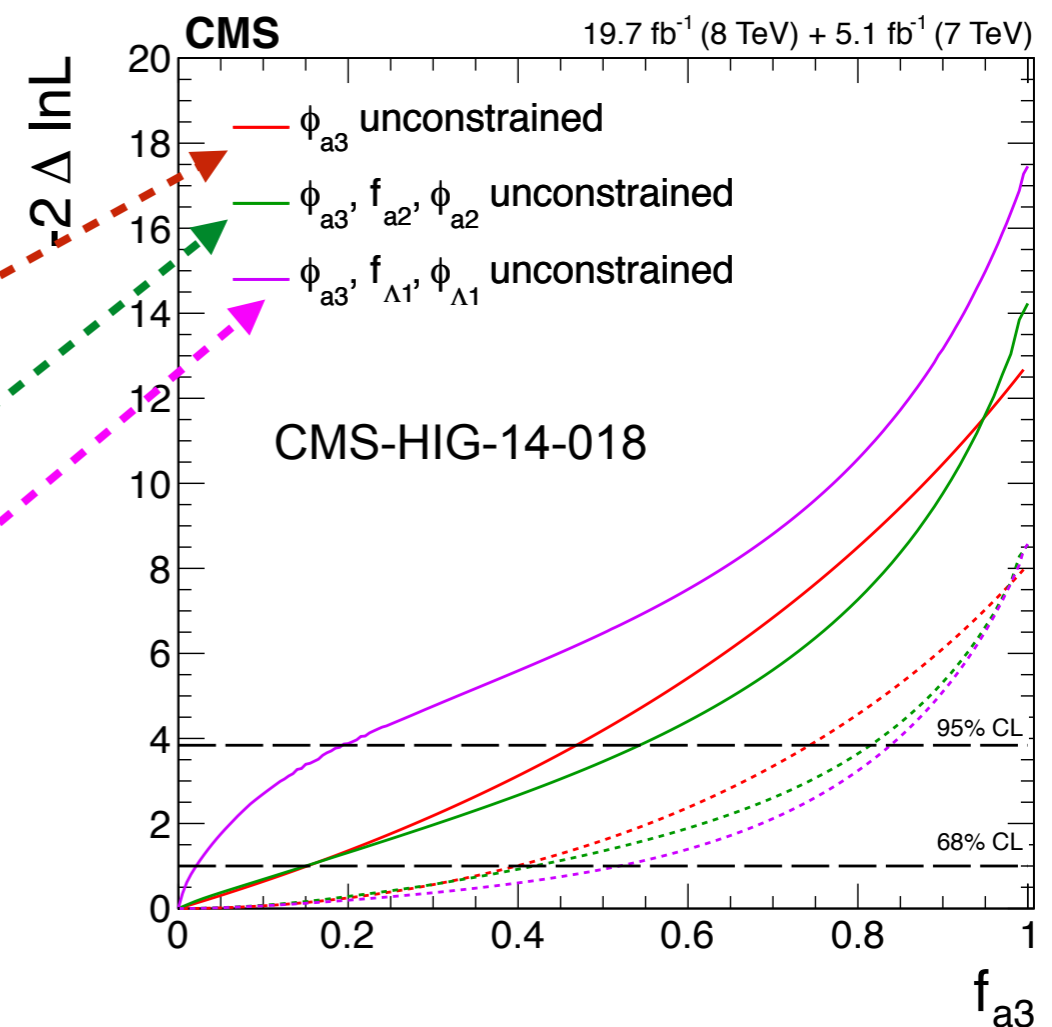
- Hermitian  $L \Rightarrow$  **real couplings**  $\Rightarrow$  phase 0 or  $\pi$   
amplitude could have complex effective couplings  
e.g. light particles in the loop (also  $q^2$  related...)
- Experimentally: consistency of the data with SM



check complex phases  
as a consistency test

tested **arbitrary phases** (profiled)

profiled other **couplings and phases**



# Issue (7) dealing with the contact terms

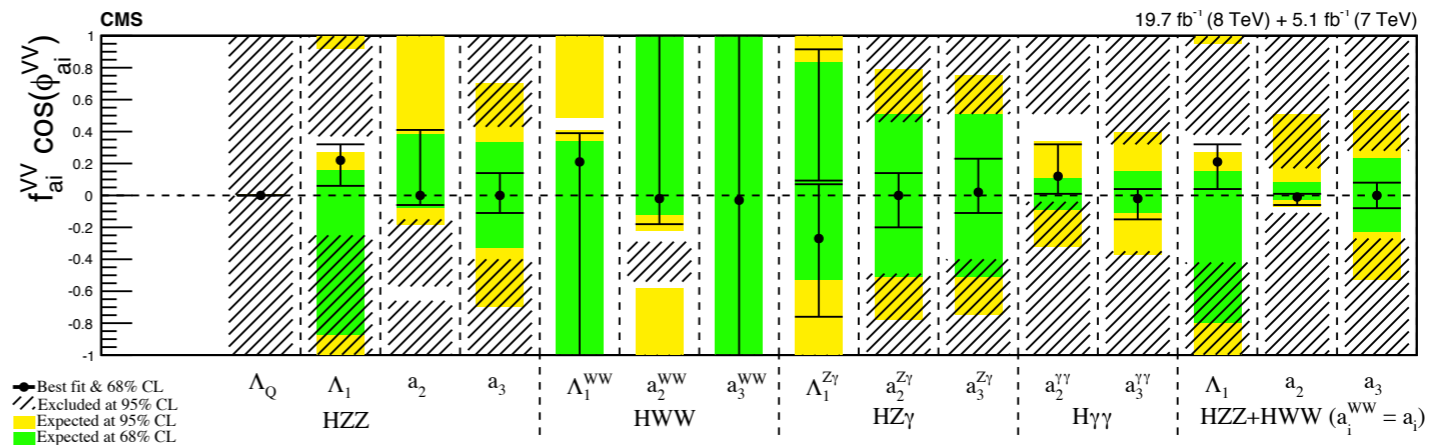
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- Current CMS approach: stick to **flavor universality** (“early stage”)  
contact terms  $(\varepsilon_{Z\ell_R}, \varepsilon_{Z\ell_L}) = \text{amplitudes } (\Lambda_1, \Lambda_1^{ZY})$   
works with  $\ell$  **flavor universality** ( $\varepsilon_{Z\mu} = \varepsilon_{Ze}$ )  
may perform  $(f_{\Lambda_1}, f_{\Lambda_1^{ZY}})$  fit to cover full plane  $(\varepsilon_{Z\ell_R}, \varepsilon_{Z\ell_L})$  explicitly  
in production need to assume relationship (e.g. as in Vff)
- Expanding beyond **flavor universality** (“advanced stage”)  
in principle trivial, can write anything in the amplitude  
in practice analysis nightmare with  $\sim 14 ZZ' + 12 WW'$  (?) terms  
little sensitivity to distinguish  
also note: we test 1-2 parameters at a time  
there is also a developer nightmare: years of development already  
introduce as it becomes needed (with available statistics)

# Summary

- Experimental goal: consistency of data with SM thru measurements:

extensive set of anomalous H couplings in both **production** & **decay**

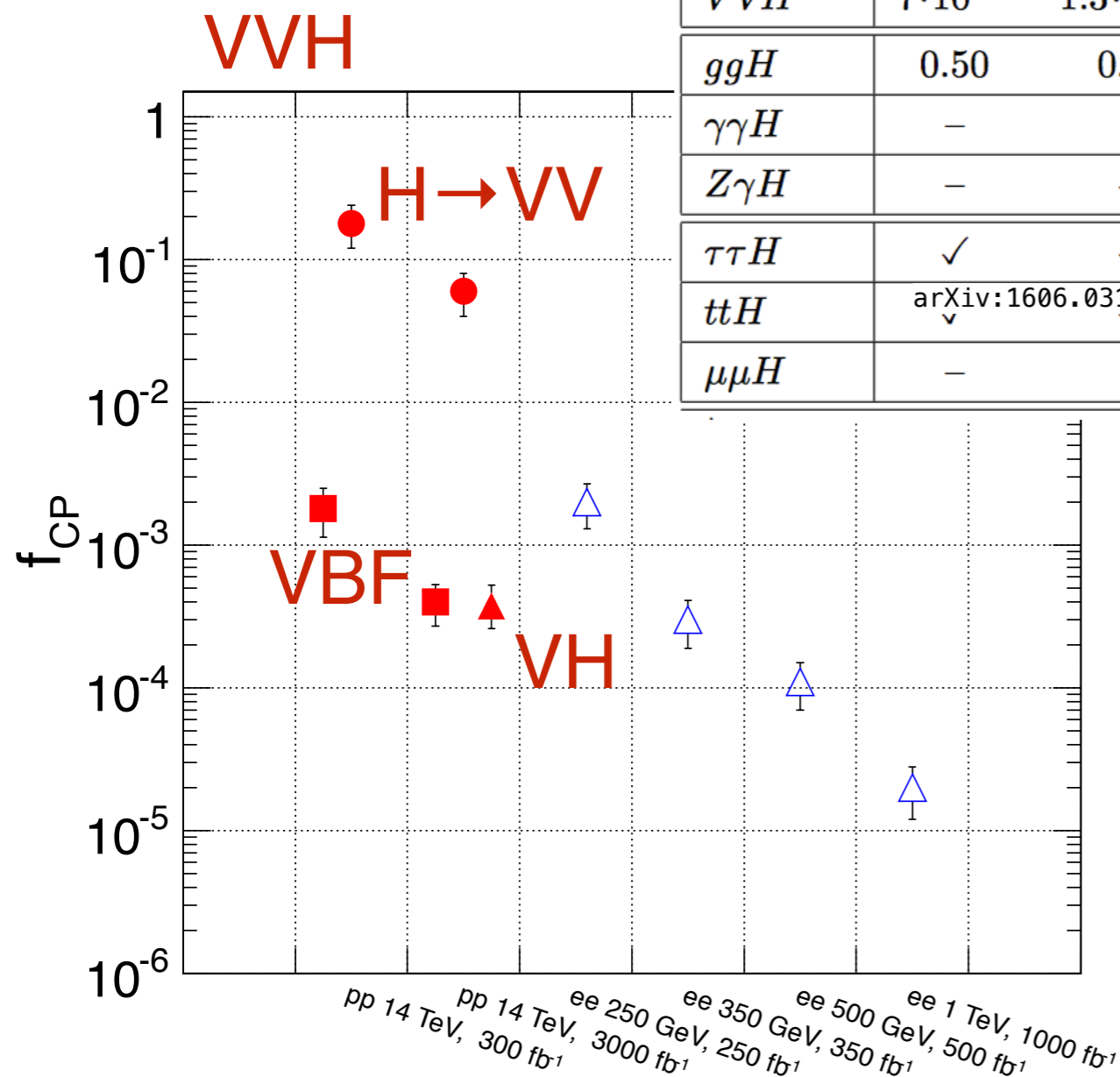


- Consistent with **AC/EFT/PO** framework
  - with flavor universality at the moment (but can extend as needed)
- Stay open to tests beyond framework (esp. common across LHC)
- Working model with
  - (1) observables
  - (2) measurements (and relationship)
  - (3)  $q^2$  range validity testing
  - (4) offshell approach
  - (5) yield relationship in combination
  - (6) complex couplings test

**BACKUP**

● Prospects:

Collider	$pp$	$pp$	$e^+e^-$	$e^+e^-$	$e^+e^-$	$e^+e^-$	$\gamma\gamma$	$\mu^+\mu^-$	target (theory)
E (GeV)	14,000	14,000	250	350	500	1,000	126	126	
$\mathcal{L}$ ( $\text{fb}^{-1}$ )	300	3,000	250	350	500	1,000	250		
spin- $2_m^+$	$\sim 10\sigma$	$\gg 10\sigma$	$> 10\sigma$	$> 10\sigma$	$> 10\sigma$	$> 10\sigma$			$> 5\sigma$
$VVH^\dagger$	0.07	0.02	✓	✓	✓	✓	✓	✓	$< 10^{-5}$
$VVH^\ddagger$	$4 \cdot 10^{-4}$	$1.2 \cdot 10^{-4}$	$7 \cdot 10^{-4}$	$1.1 \cdot 10^{-4}$	$4 \cdot 10^{-5}$	$8 \cdot 10^{-6}$	–	–	$< 10^{-5}$
$VVH^\diamond$	$7 \cdot 10^{-4}$	$1.3 \cdot 10^{-4}$	✓	✓	✓	✓	–	–	$< 10^{-5}$
$ggH$	0.50	0.16	–	–	–	–	–	–	$< 10^{-2}$
$\gamma\gamma H$	–	–	–	–	–	–	0.06	–	$< 10^{-2}$
$Z\gamma H$	–	✓	–	–	–	–	–	–	$< 10^{-2}$
$\tau\tau H$	✓	✓	0.01	0.01	0.02	0.06	✓	✓	$< 10^{-2}$
$ttH$	$\text{arXiv:1606.03107}$	$\text{arXiv:1606.03107}$	–	–	0.29	0.08	–	–	$< 10^{-2}$
$\mu\mu H$	–	–	–	–	–	–	–	✓	$< 10^{-2}$



† estimated in  $H \rightarrow ZZ^*$  decay mode  
 ‡ estimated in  $V^* \rightarrow HV$  production mode  
 ◇ estimated in  $V^*V^* \rightarrow H$  (VBF) production mode