

Open questions/Prospects for collider DM searches

Alexander Belyaev



Southampton University & Rutherford Appleton LAB

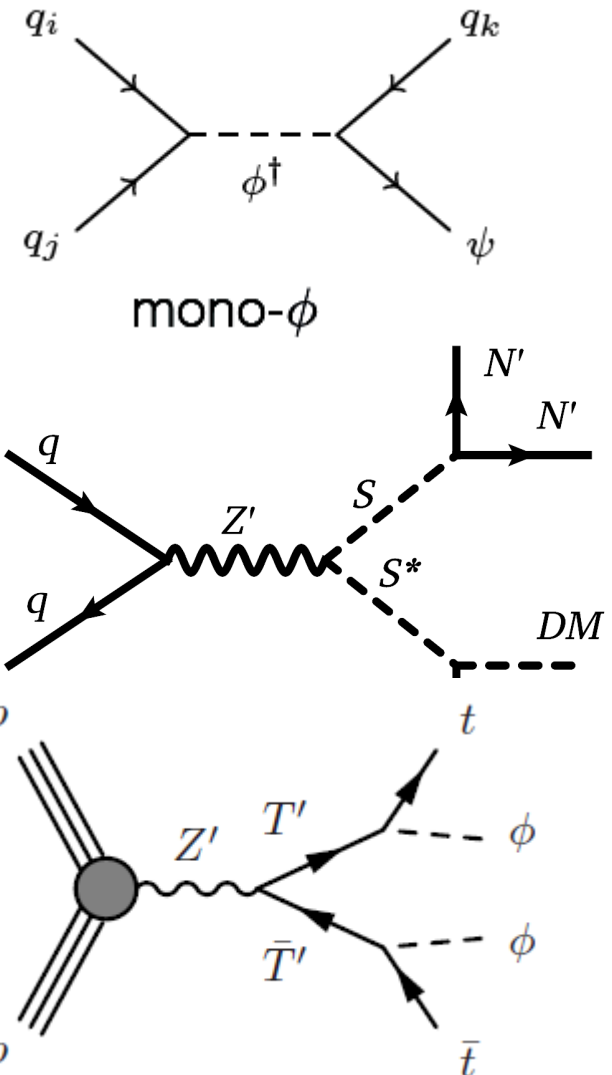
**Future of collider searches
for Dark Matter at the LPC
FNAL
27-28 July 2017**

New Signatures/Topologies/Models

Which we did not study yet and should be ready for

Just a few examples

- Monojet from scalar resonance (see talk by Matt Buckley)
- MET recoiling Displaced vertices and/or heavy boosted objects from $Z' \rightarrow S S^* \rightarrow (N', N') + (DM, DM)$ chain (AB, Eung Jin Chun, Dan Locke, Priyotosh Bandyopadhyay, Rusa Mandal)
- $tt + MET$ from $Z' \rightarrow T' \bar{T}' \rightarrow tt + DMDM$ **1707.07000** (AB, Patrick Schaefer, Thomas Flacke, Bithika Jain)



Do we need new tools/improvement of the existing ones?

- Better BG prediction/simulation?
 - ➔ NLO QCD+ NLO EW SM BG simulation can be done with Sherpa
- Common repository for BSM model implementation?
 - ➔ FeynRules website, HEPMDB
- Improvements on DM relic density and DM DD and ID signal predictions?
 - ➔ Freeze-in scenario will be in micrOMEGAs in ~ two weeks

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Common framework/agreement on the recasting of the experimental limits:

- (Re)interpreting the results of new physics searches at the LHC Workshop (CERN)
- Supplemental Material – section – would be very useful, see e.g. arXiv:1508.04094 (LHCb)

Search for hidden-sector bosons in
 $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decays

Supplemental Material

The limits reported in the Letter assume a spin-zero hidden-sector boson. To convert these into limits for a spin-one boson, the ratio of efficiencies for the spin-one to spin-zero cases must be accounted for. Determining this ratio involves integrals of the form

$$\frac{\int f_j(\vec{\Omega}) \epsilon(\vec{\Omega}, m^2(\mu^+ \mu^-)) d\vec{\Omega}}{\int f_{1c}(\vec{\Omega}) \epsilon(\vec{\Omega}, m^2(\mu^+ \mu^-)) d\vec{\Omega}},$$

Combining collider searches, relic density and DM detection (DD and ID) limits

- Should experimental papers do this?
- How generic the statement is
 - ➔ Non-applicable for non-standard cosmology with low reheating temperature

- Importance of the **running of the operator**

- ➔ In case of axial operators, e.g

$$c_A^{(q)} c_\chi \bar{\chi} \gamma^\mu \chi \bar{q} \gamma_\mu \gamma_5 q \quad (D7) \quad \text{or} \quad c_A^{(q)} c_\phi \phi^\dagger \overleftrightarrow{\partial}_\mu \phi \bar{q} \gamma^\mu \gamma_5 q \quad (C4)$$

couplings $\mathbf{c}_V^{(q)}$ arise due to the running of the wilson coefficient $\mathbf{c}_A^{(q)}$ leading to sizable constraints on the DM DD constraints

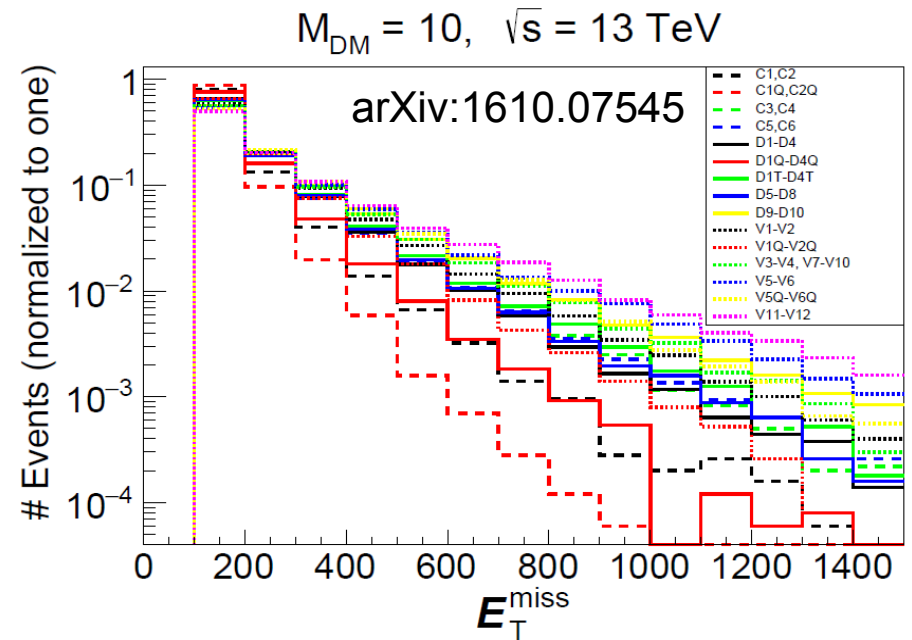
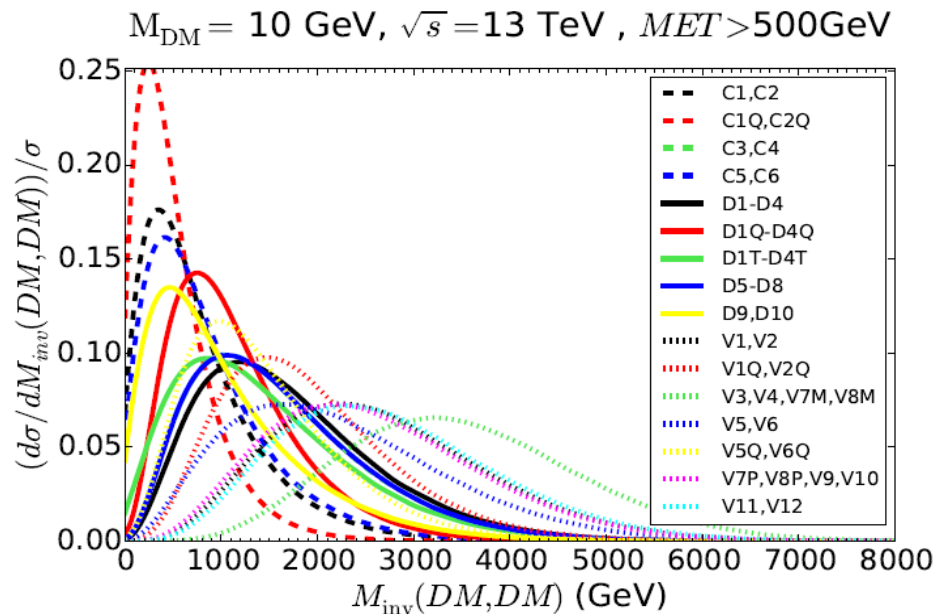
- ➔ One can use **runDM** program (github.com/bradkav/runDM) by **F. D'Eramo, B. J. Kavanagh & P. Panci**

$$\mathbf{c}_A^{(u)}, \mathbf{c}_A^{(d)}, \mathbf{c}_V^{(u)}, \mathbf{c}_V^{(d)} = (1, 1, 0, 0)[5\text{TeV}] \rightarrow (1.1, 1.1, 0.04, -0.07)[1\text{GeV}]$$

AB, Bertuzzo, Caniu, Eboli, di Cortona

Distinguishing DM operators/theories

M(DM,DM) distributions \longleftrightarrow are correlated with Different MET shapes



- energy dependence of the DM operator $\rightarrow M_{\text{DMDM}}$ distributions \rightarrow slopes of MET
- projection for 300 fb^{-1} : some operators C1-C2,C5-C6,D9-D10,V1-V2,V3-V4,V5-V6 and V11-12 can be distinguished from each other
- Application beyond EFT:** when the DM mediator is not produced on-the-mass-shell and M_{DMDM} is not fixed: t-channel mediator or mediators with mass below $2M_{\text{DM}}$