

Updates on $hh \rightarrow VVbb$ decay channels

B. Di Micco

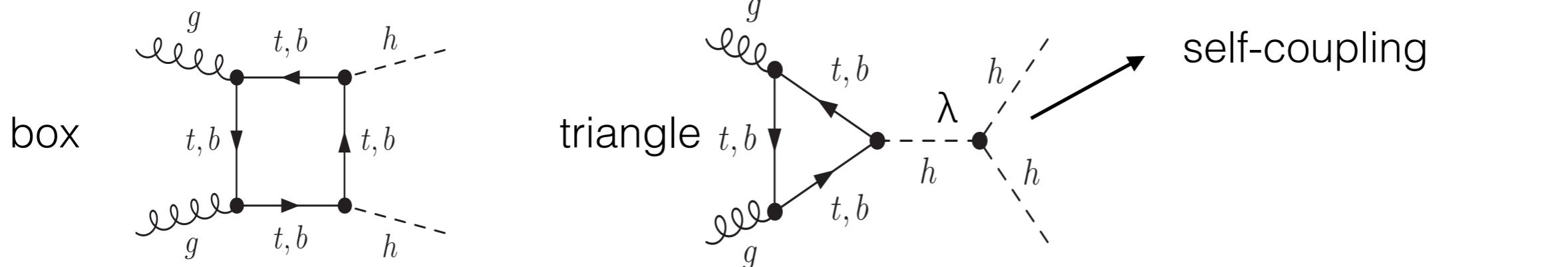
Università degli Studi di Roma Tre e I.N.F.N

S. Braibant, N. De Filippis, M. Testa, M. Verducci

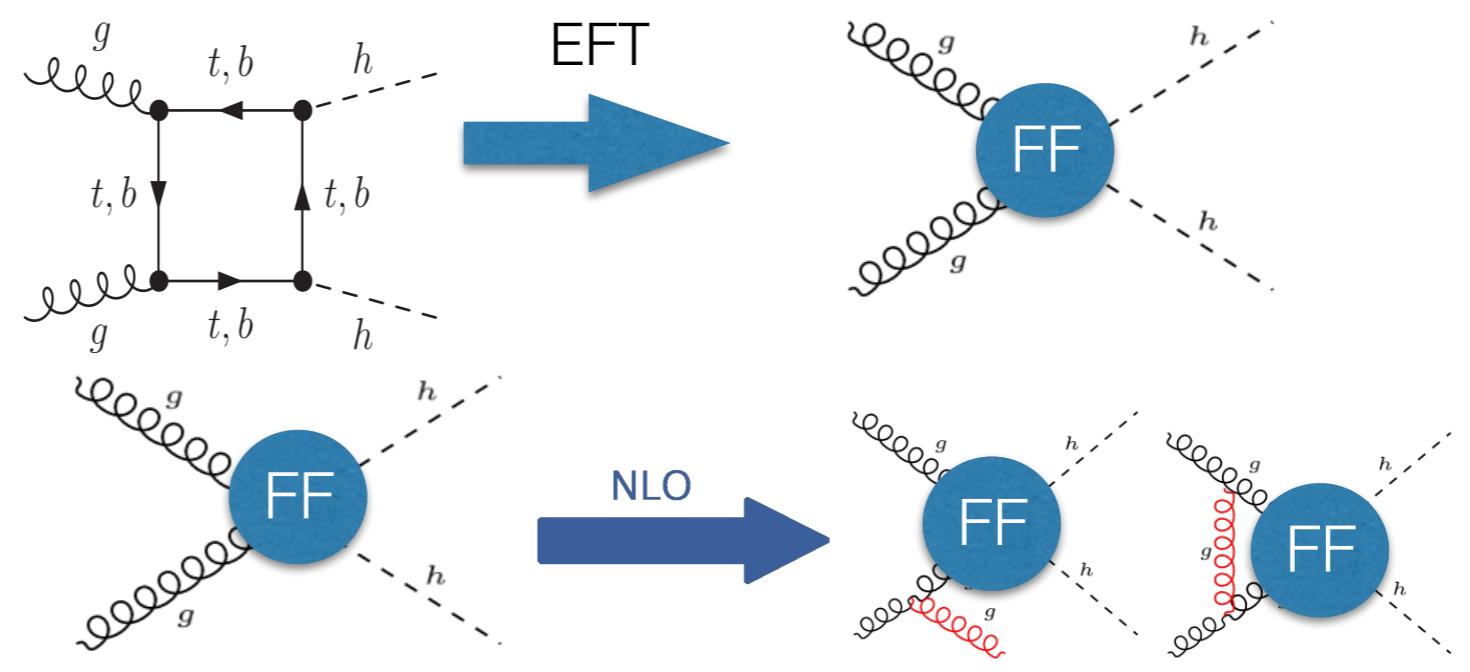
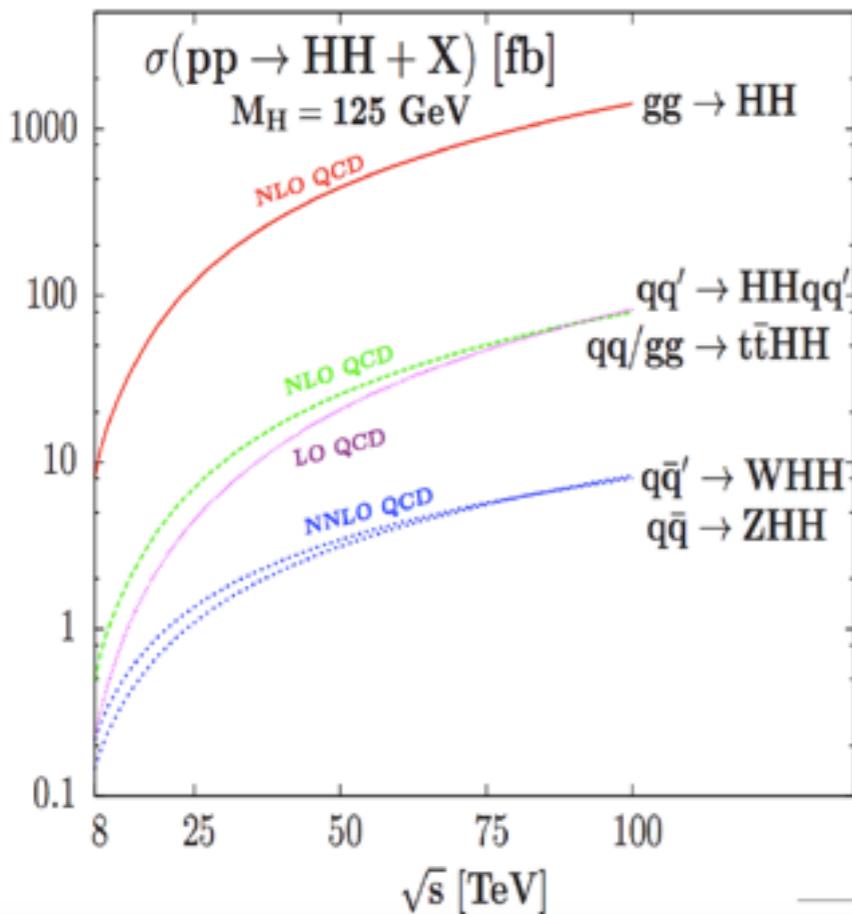
for the R&D for Future Accelerator WG1 of I.N.F.N



hh production mechanism

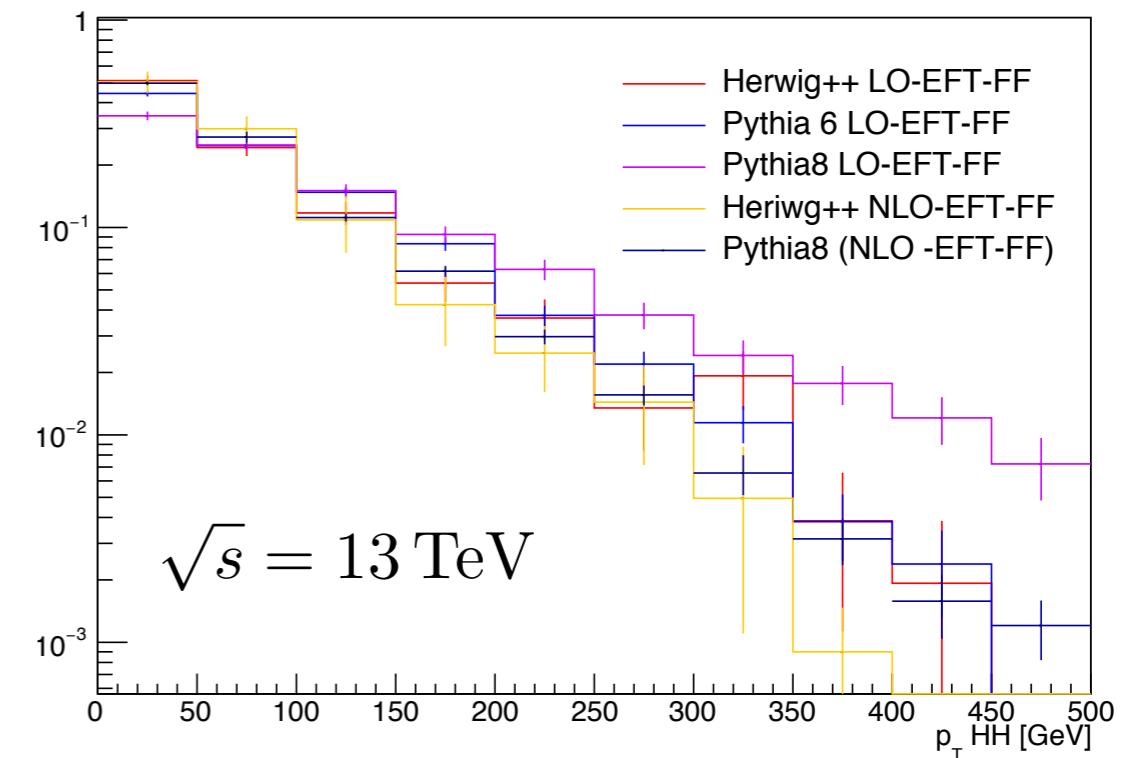


- dominant production through gluon-gluon fusion;
- signal model simulated using Madgraph5_aMC@NLO, using NLO reweighting with finite top mass effect correction implemented through Form Factor *R. Frederix et al., Phys. Lett. B732 (2014) 142*



Parton shower choice and EFT approx validation

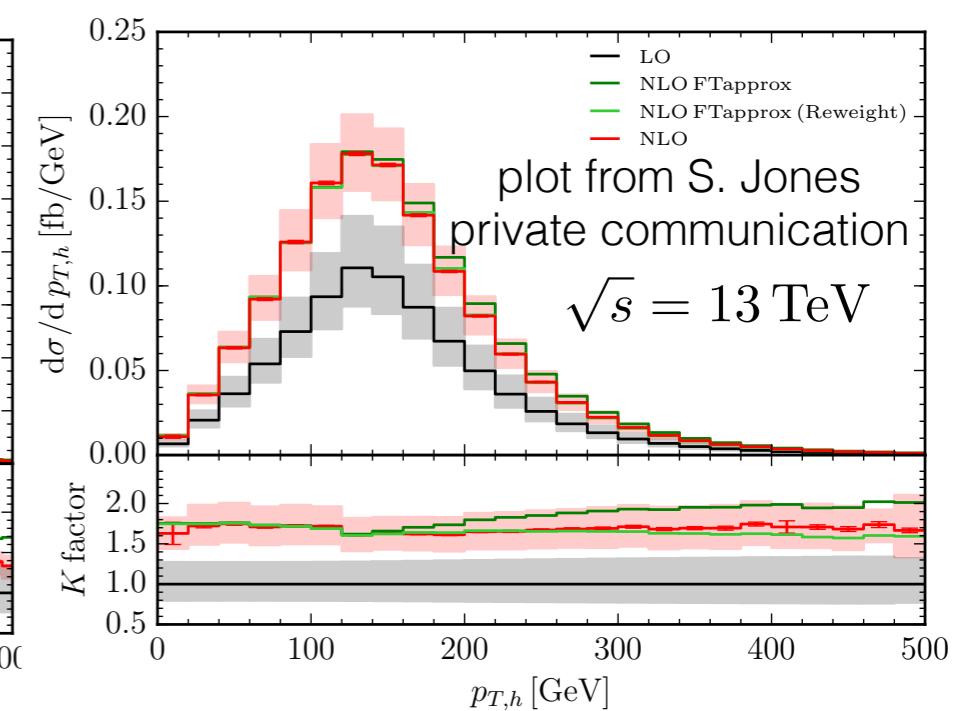
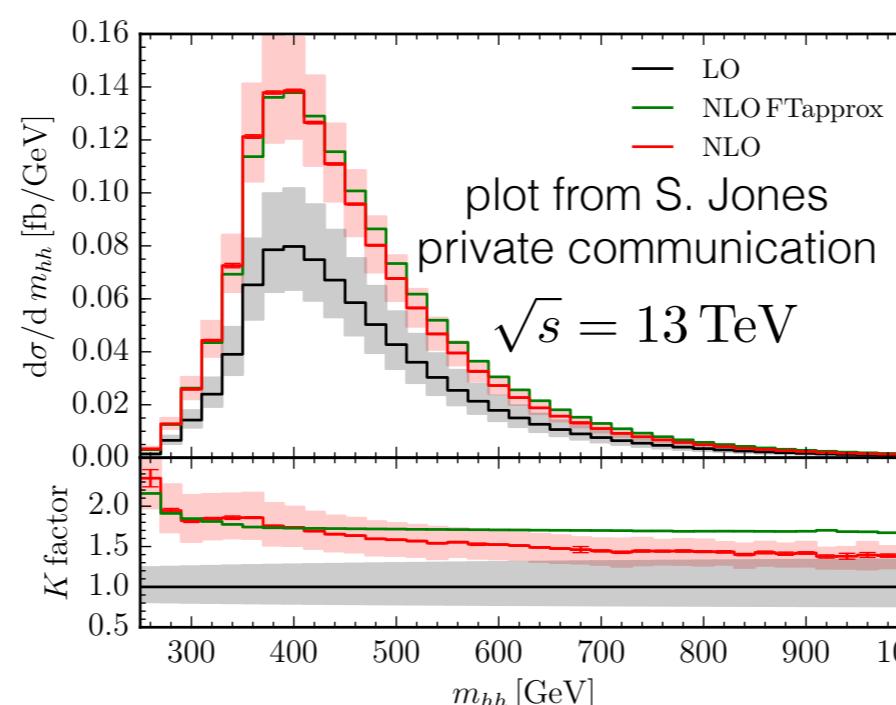
- Comparison between LO calculations with finite top mass correction with NLO ones for different Parton Showers
- Pythia8 shows an hard p_T^{hh} spectrum when using LO simulation not shown by the other Parton Showers
- Prefer to use Herwig++ for signal simulation



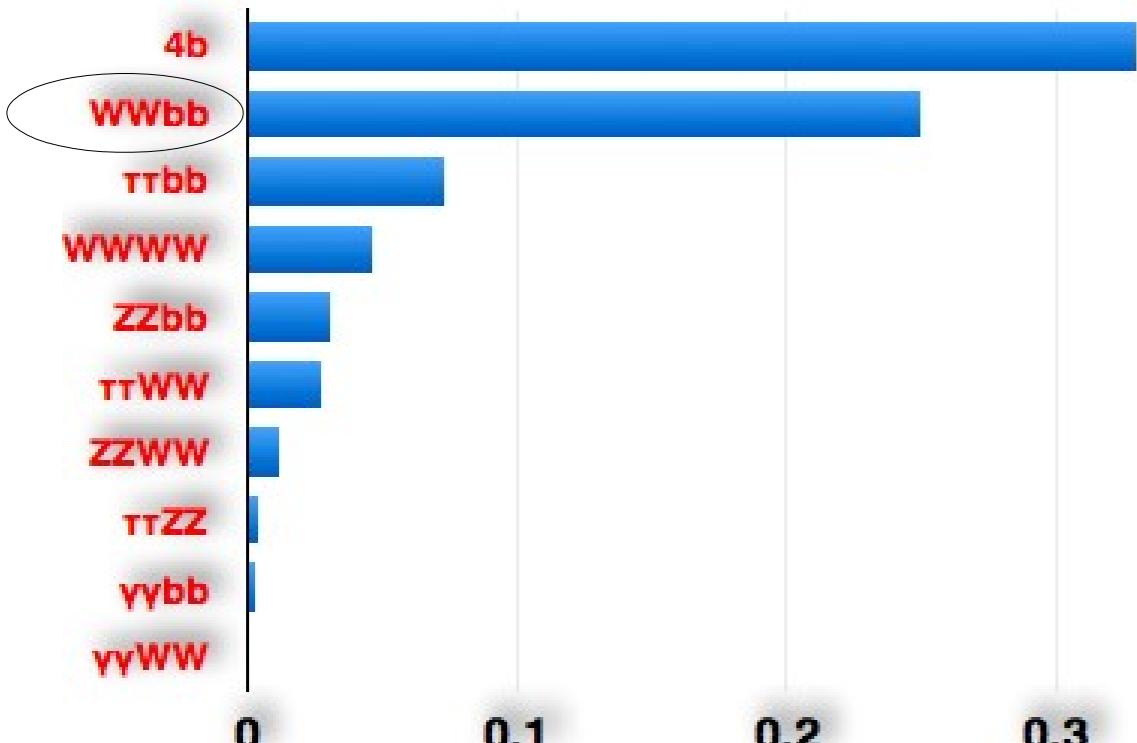
- full NLO computation with finite top mass effect available [S.

Borowka et al. JHEP 1610 (2016) 107

- our approximation (FTapprox) quite in good agreement with full calculation
- possible to reweight the m_{hh} distribution to reproduce also the p_T^{hh}
- now available in Powheg, aMC@NLO



hh decay channels



$\sim \times 40$ at 100 TeV wrt to 14 TeV

\sqrt{s} [TeV]	σ^{NLO} [fb]
8	8.2
14	33.9
33	207.3
100	1417.8

results from the
2016 FCC
physics report

	$\Delta\sigma/\sigma$	$\Delta\lambda/\lambda$
YYbb	1.3%	2.5%
4b	25% (S/B ~2%)	200%
ZZbb, 4l	~30%	~40%

The Higgs boson can decay to different final states:

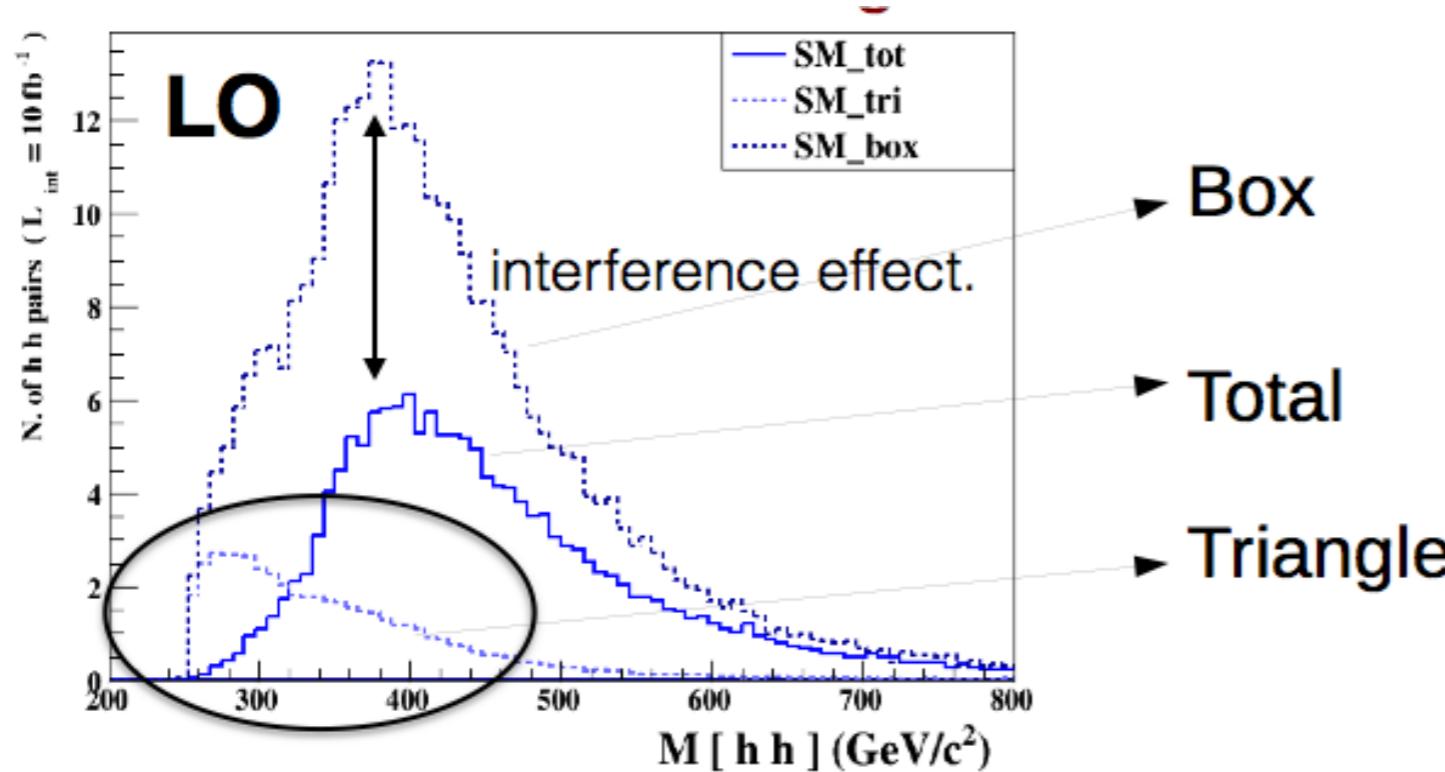
- 4b, WWbb are the dominant ones
- $\gamma\gamma bb$, ZZbb are the cleanest one
- 4b, $\gamma\gamma bb$ have been already studied in the present physics-report
- For WWbb there is a feno-paper in the 1-lepton final state: PRD87 (2013) 0011301 claiming for 4σ observation with 600 fb^{-1} @14 TeV, preliminary CMS results with 3.2 fb^{-1} of 13 TeV data in the 2-lepton final state find much worse results [CMS-PAS-HIG-16-024]

30 ab^{-1}

In this presentation,
focus on two final
states:

WWbb, ZZbb

Sensitivity to λ and MC events simulated?



- Triangle mainly contributing to very low m_{hh} ,
- but moderate m_{hh} can be sensitive through interference with top-box.

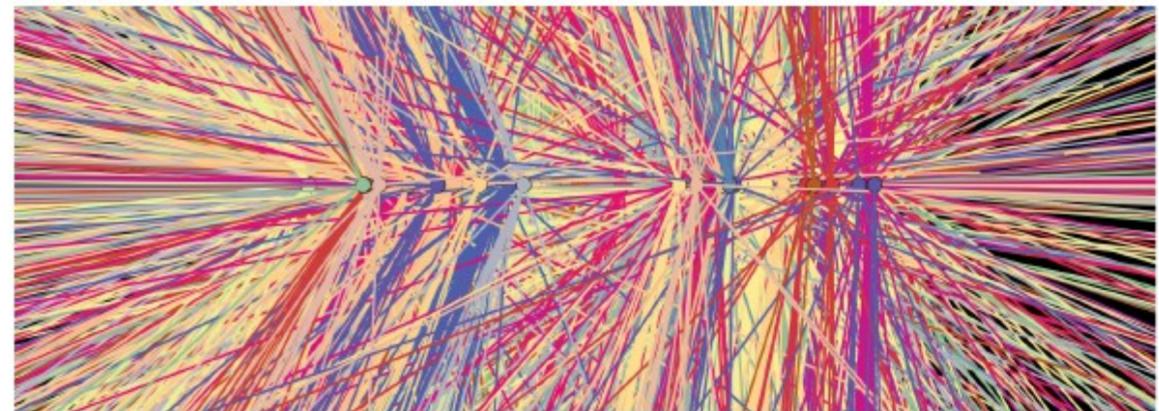
**low m_{hh} feasible for ZZbb,
less for WWbb**

sample	$\sigma(\text{pb})$	$N_{\text{evts}}^{\text{gen}}$
hh	1.4	1M
$t-t_{\bar{b}}$		
$l^{\pm}vqqbb$	4.1×10^3	10M
$\tau^{\pm}vqqbb$	0.2×10^3	2M

LHC condition



FCC-hh condition



Optimizing integrated luminosity of future hadron colliders, M. Benedikt et. al.

For bunch spacing of 25 ns

	FCC Phase 1	FCC Phase 2
Peak pileup	180	940
Peak pileup line density m ⁻¹	≤ 3200	≤ 17000
rms bunch length [cm]	8	8

For 5 ns bunch spacing Pile-up → Pileup / 5

Configurations chosen for this study:

Pile-up = 50 ≈ **Pile-up at Phase 1 at 5 ns**

Pile-up = 200 ≈ **Pile-up at Phase 1 at 25 ns OR Phase 2 at 5 ns**

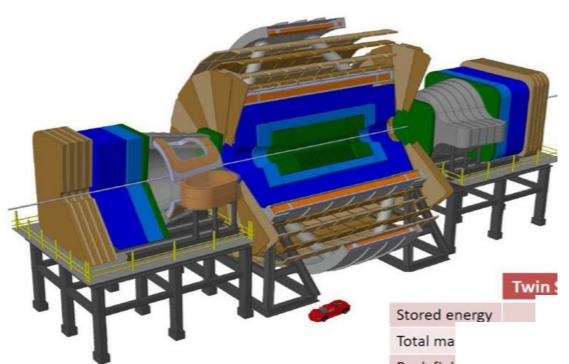
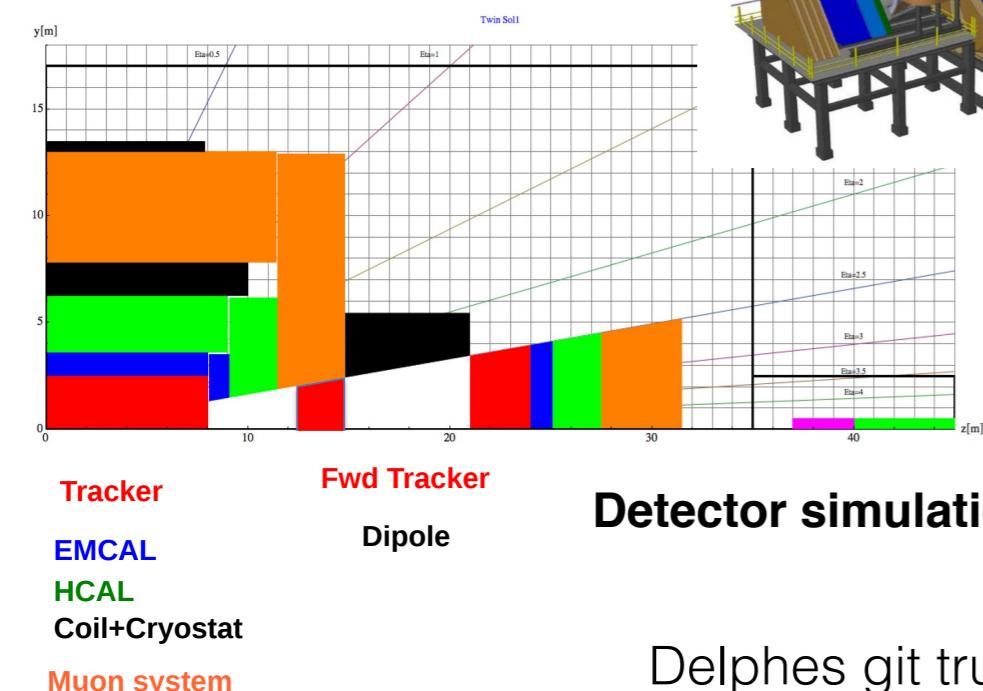
Pile-up conditions and detector simulation

pile-up configuration used in this presentation

- WWbb 50, 200, 900 vertices, ZZbb 1000

Simulation of the 5 ns low and high luminosity phase and of the 25 ns high luminosity phase

Base-line geometry
Twin solenoid +
Dipole magnetic system



ZZbb

ECAL granularity:

$$0.0125 \times 0.0125 \quad |\eta| < 2.5$$

$$0.025 \times 0.025 \quad 2.5 < |\eta| < 4.0$$

$$0.05 \times 0.05 \quad 4.0 < |\eta| < 6.0$$

ECAL Energy Resolution:

$$\sigma(E)/E = 10\% / \sqrt{E} \oplus 1\%$$

$$|\eta| < 6.0$$

HCAL granularity:

$$0.05 \times 0.05 \quad |\eta| < 2.5$$

$$0.1 \times 0.1 \quad 2.5 < |\eta| < 4.0$$

$$0.2 \times 0.2 \quad 4.0 < |\eta| < 6.0$$

HCAL Energy Resolution:

$$\sigma(E)/E = 50\% / \sqrt{E} \oplus 3\% \quad |\eta| < 4.0$$

$$\sigma(E)/E = 100\% / \sqrt{E} \oplus 5\% \quad |\eta| < 6.0$$

Tracking

Efficiency c-quark jets:

$$4\% \quad |\eta| < 2.5$$

$$3\% \quad 2.5 < |\eta| < 4.0 \text{ ZZbb}$$

Efficiency light-quark jets:

$$0.1\% \quad |\eta| < 2.5$$

$$0.075\% \quad 2.5 < |\eta| < 4.0 \text{ ZZbb}$$

Efficiency b-quark jets:

$$75\% \text{ WWbb } 85\% \text{ ZZbb } |\eta| < 2.5$$

$$64\% \quad 2.5 < |\eta| < 4.0 \text{ ZZbb}$$

z_0 resolution (*)

- in $|\eta| < 2.5$

$$\sigma(z_0) = 0.01 \text{ mm}, p_T < 5 \text{ GeV}$$

$$\sigma(z_0) = 0.005 \text{ mm}, p_T > 5 \text{ GeV}$$

- In $2.5 < |\eta| < 4$

$$\sigma(z_0) = 0.1 \text{ mm}, p_T < 5 \text{ GeV}$$

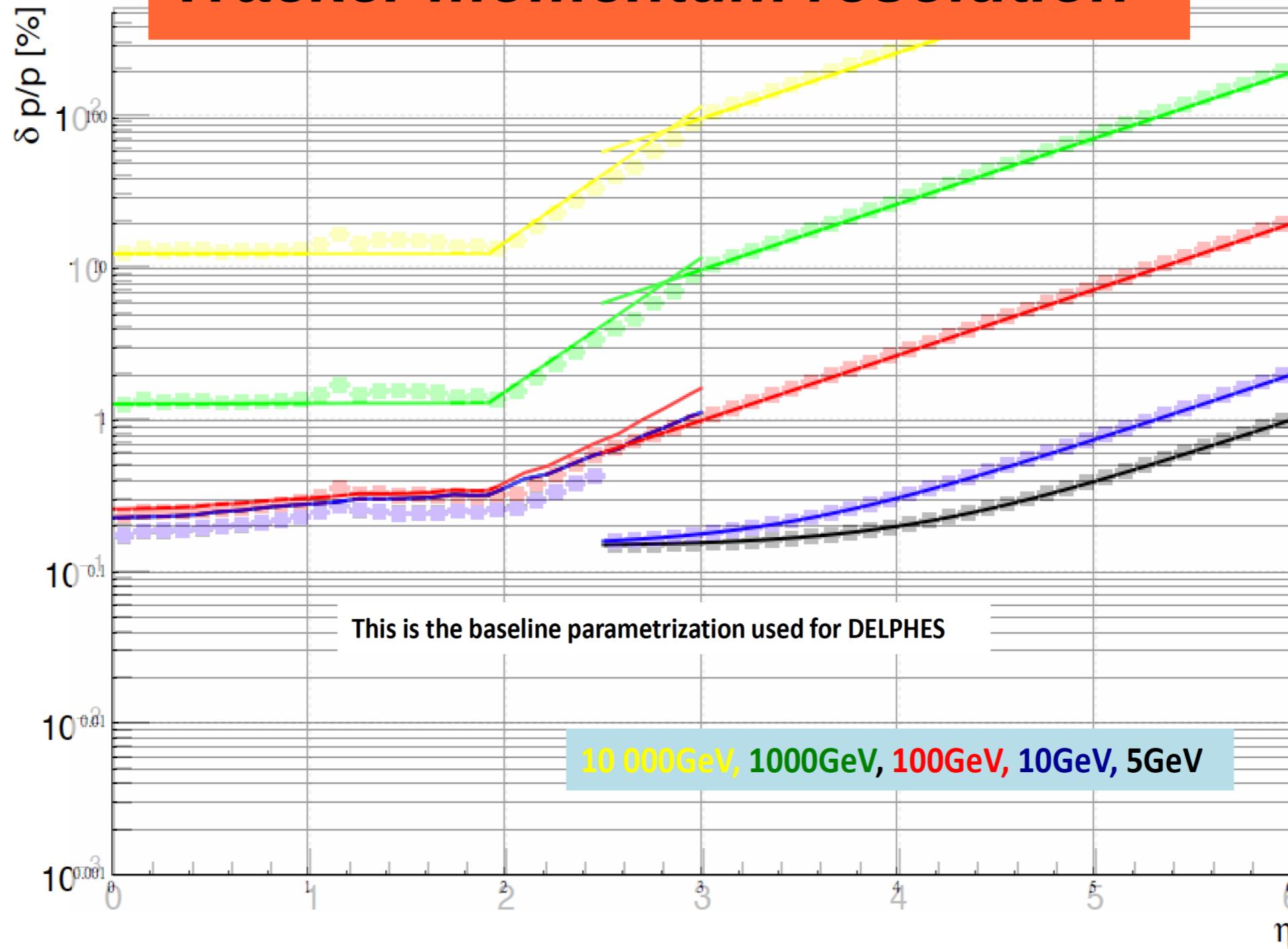
$$\sigma(z_0) = 0.05 \text{ mm}, p_T > 5 \text{ GeV}$$

- In $4.0 < |\eta| < 6.0$

$$\sigma(z_0) = 1.0 \text{ mm}, p_T < 5 \text{ GeV}$$

$$\sigma(z_0) = 0.5 \text{ mm}, p_T > 5 \text{ GeV}$$

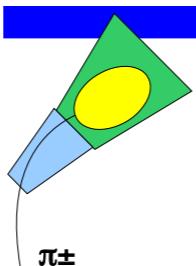
Tracker momentum resolution



Object reconstruction and performances

♦ Particle Flow Reconstruction

- Using charged hadrons, muons, electrons and calorimeter towers to build particle-flow objects
- Tracks from pile-up are rejected if $|Z_0 - Z_{PV}| > \sqrt{\sigma^2(Z_0) + \sigma^2(Z_{PV})}$

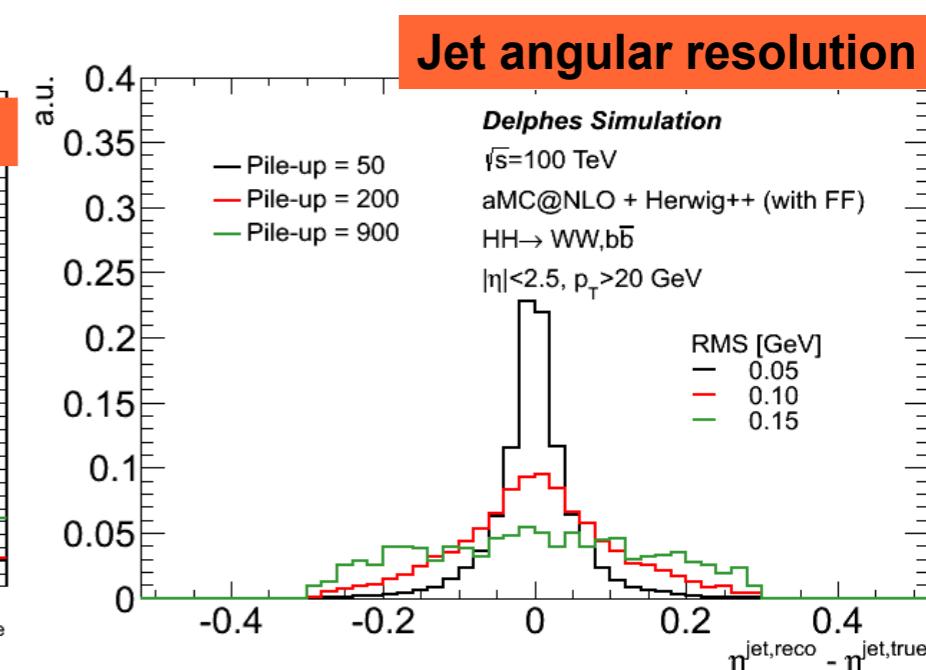
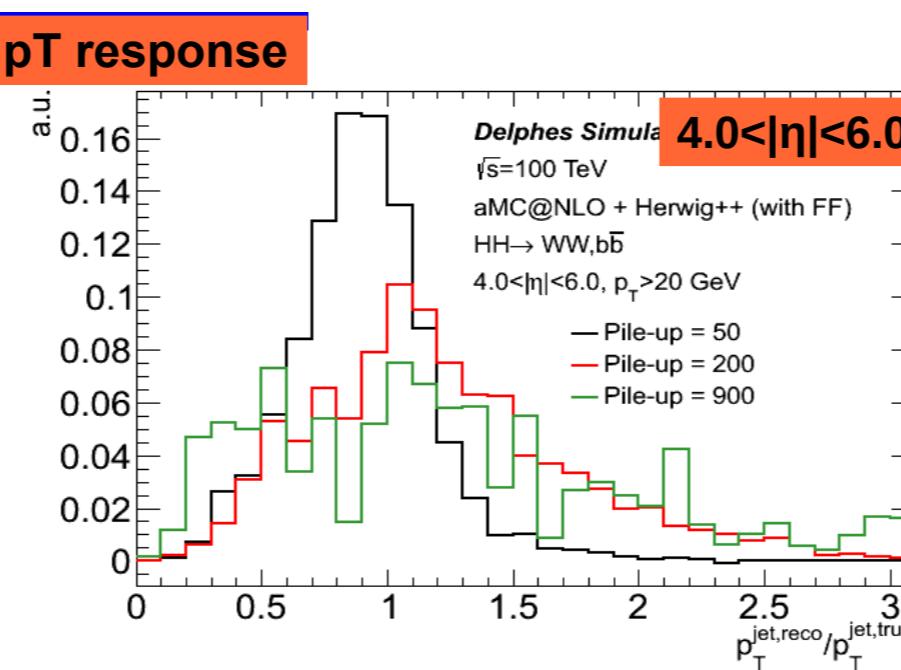
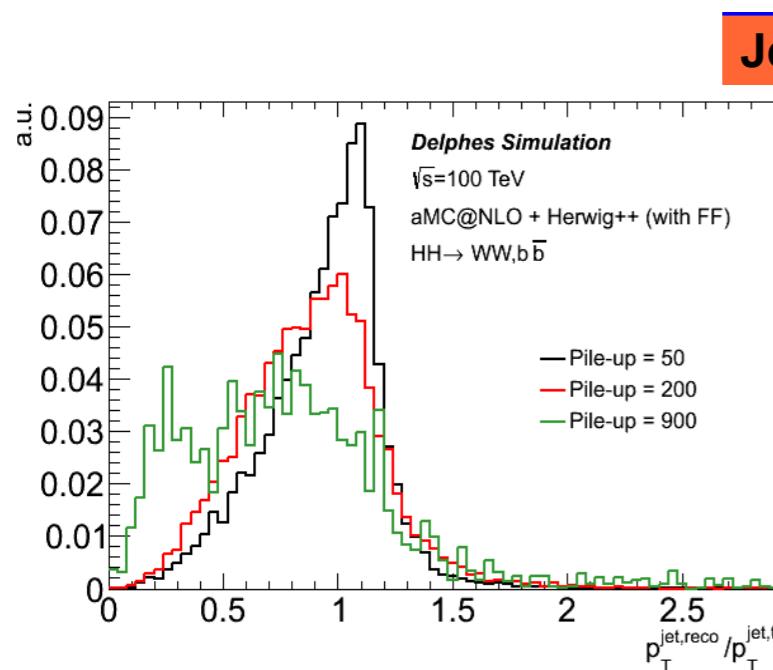
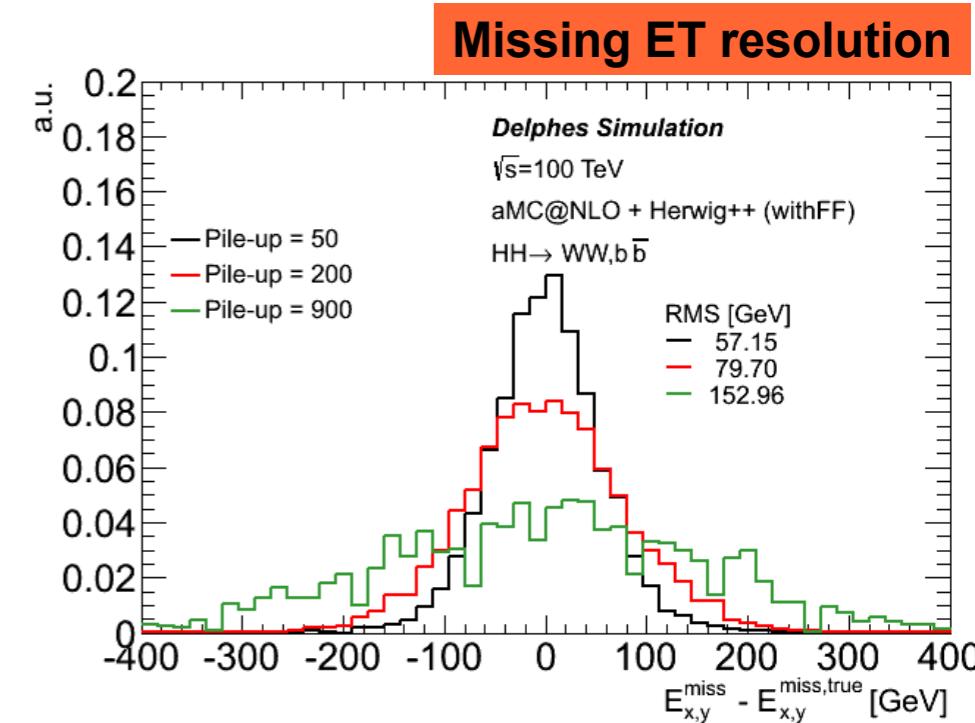


♦ Jets

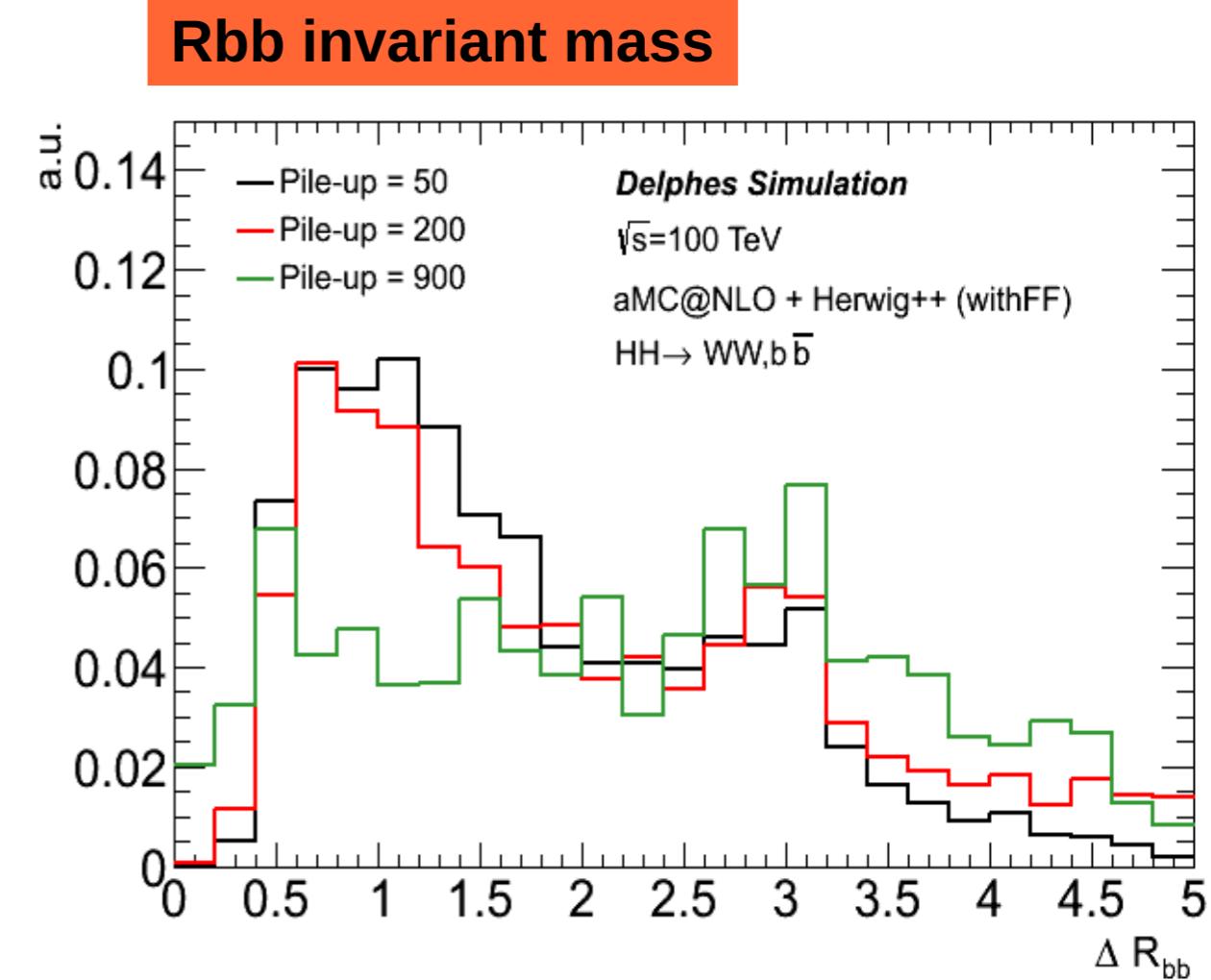
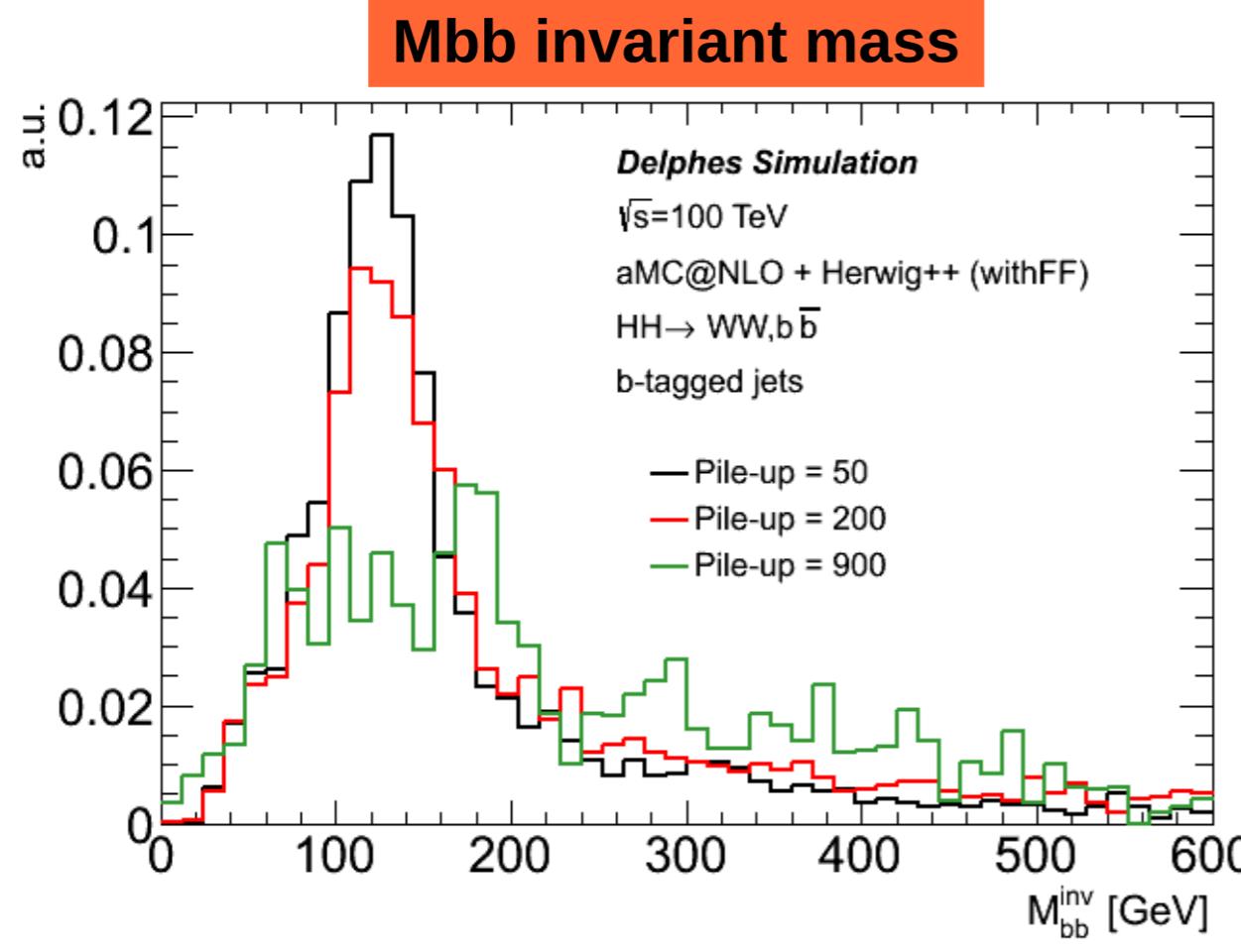
- Anti-Kt (Fast Jet) algorithm
- particle-flow objects as inputs
- $R = 0.4$
- Jet Area pile-up correction:
- private calibration to particle level $p_T^{\text{corrected}} = p_T^{\text{raw}} - \rho \cdot \text{JetArea}$
- $p_T^{\text{jet}} > 20 \text{ GeV}$

♦ Missing Transverse Energy

- Anti-Kt (Fast Jet) algorithm
- negative vector sum of Jets, after pile-up correction and calibration



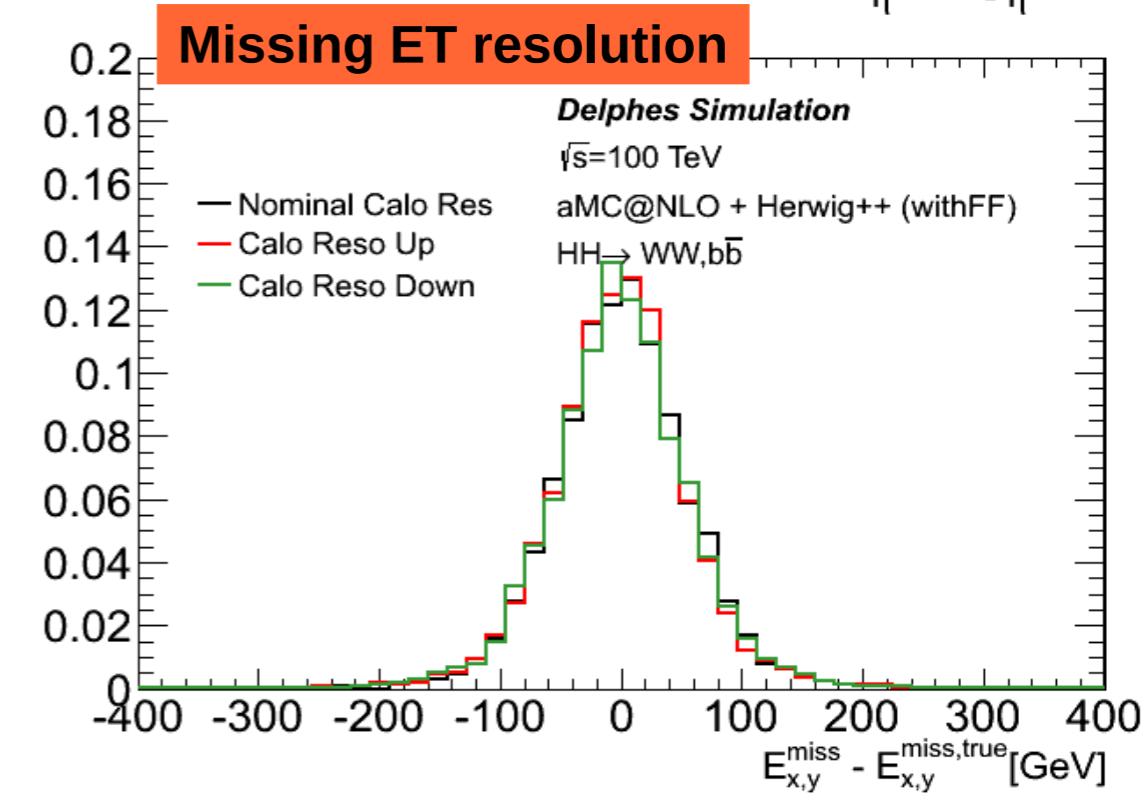
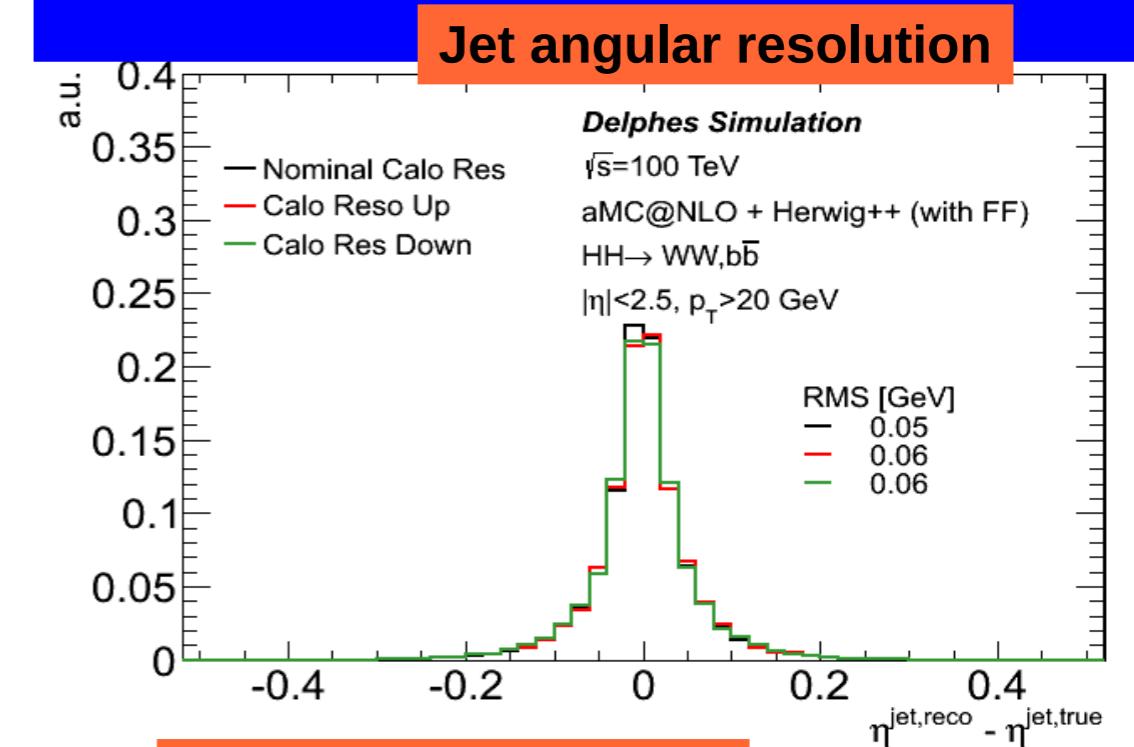
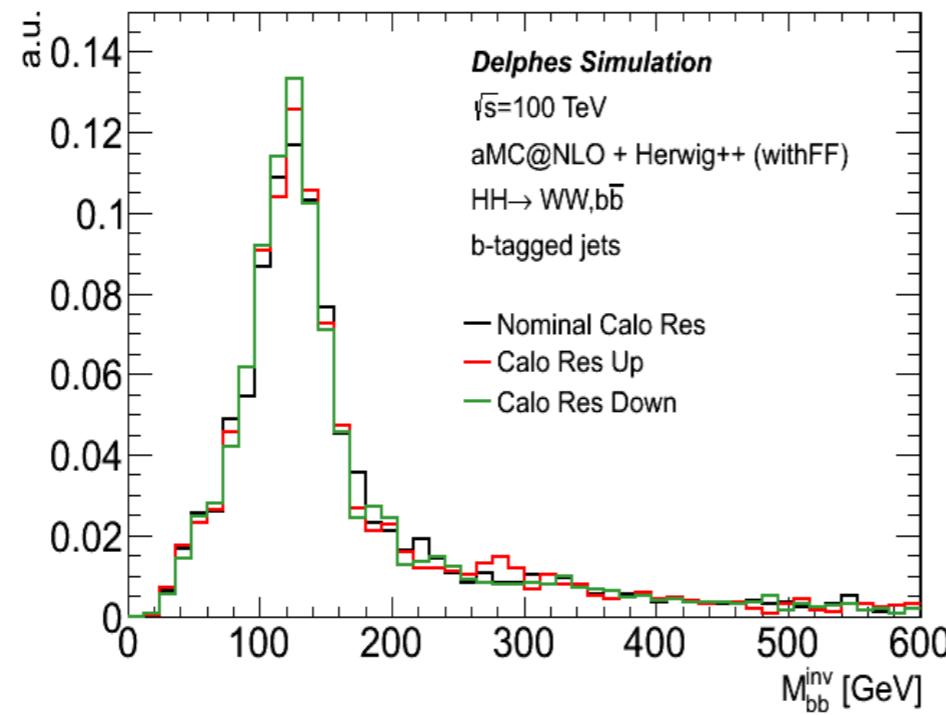
Discriminant variables at various pile-up conditions



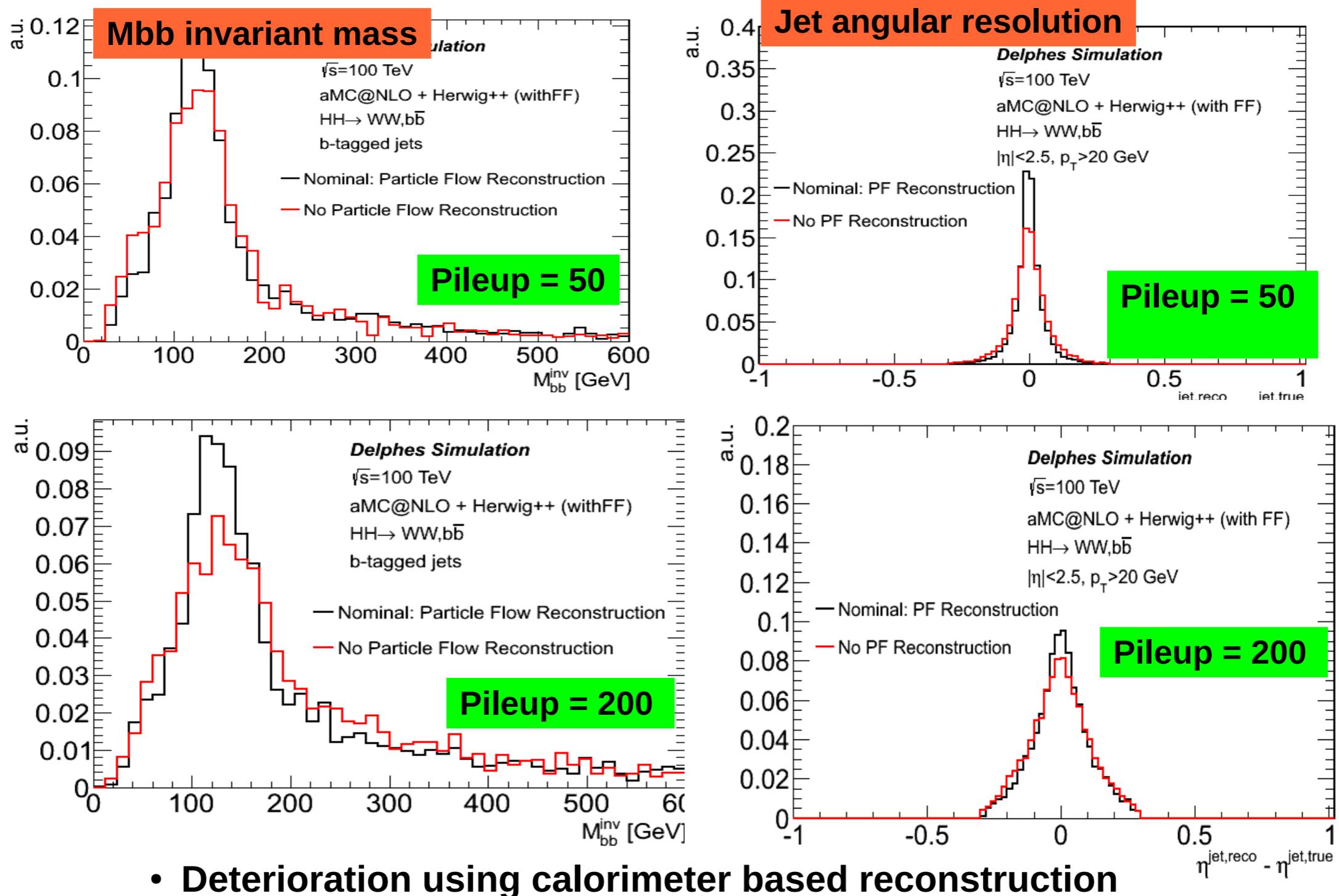
**Clear deterioration from
Pileup = 50 to 200
Pile-up = 900 seems very difficult**

Study of detector parameter variation

Nominal Calorimeter Resolution	
ECAL Energy resolution $\sigma E/E = 10\% / \sqrt{E} \oplus 1\%$	HCAL Energy resolution • $\sigma E/E = 50\% / \sqrt{E} \oplus 3\% \text{ in } \eta < 4$ • $\sigma E/E = 100\% / \sqrt{E} \oplus 5\% \text{ in } 4 < \eta < 6$
Calorimeter Resolution "Up"	
ECAL Energy resolution $\sigma E/E = 20\% / \sqrt{E} \oplus 1\%$	HCAL Energy resolution • $\sigma E/E = 50\% / \sqrt{E} \oplus 3\% \text{ in } \eta < 4$ • $\sigma E/E = 100\% / \sqrt{E} \oplus 5\% \text{ in } 4 < \eta < 6$
Calorimeter Resolution "Down"	
ECAL Energy resolution $\sigma E/E = 5\% / \sqrt{E} \oplus 1\%$	HCAL Energy resolution • $\sigma E/E = 25\% / \sqrt{E} \oplus 3\% \text{ in } \eta < 4$ • $\sigma E/E = 50\% / \sqrt{E} \oplus 5\% \text{ in } 4 < \eta < 6$
M_bb invariant mass	

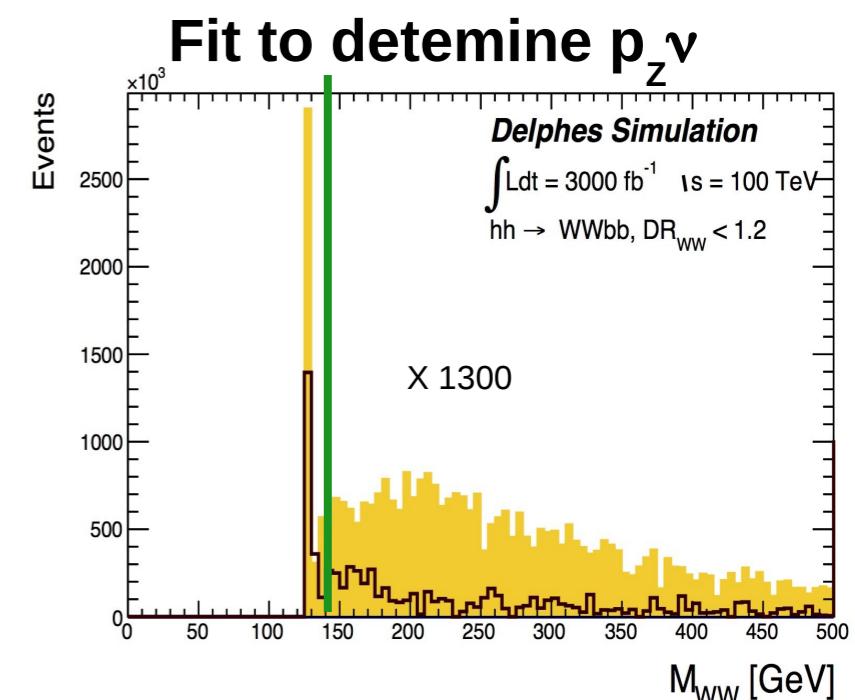
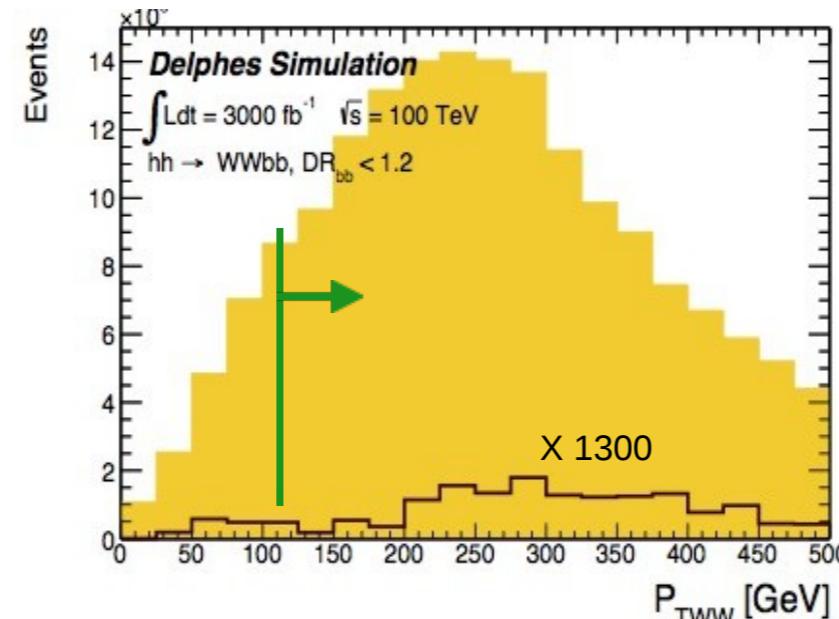
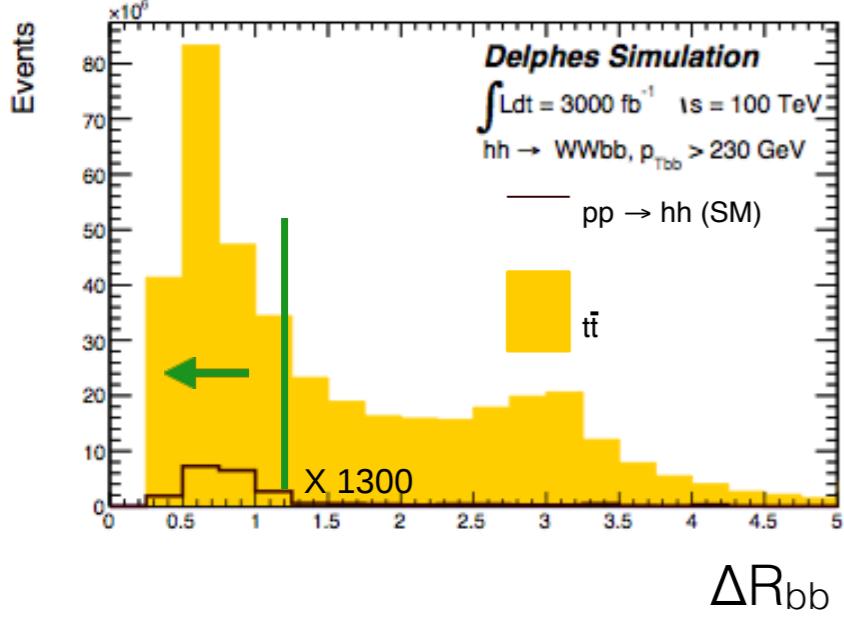
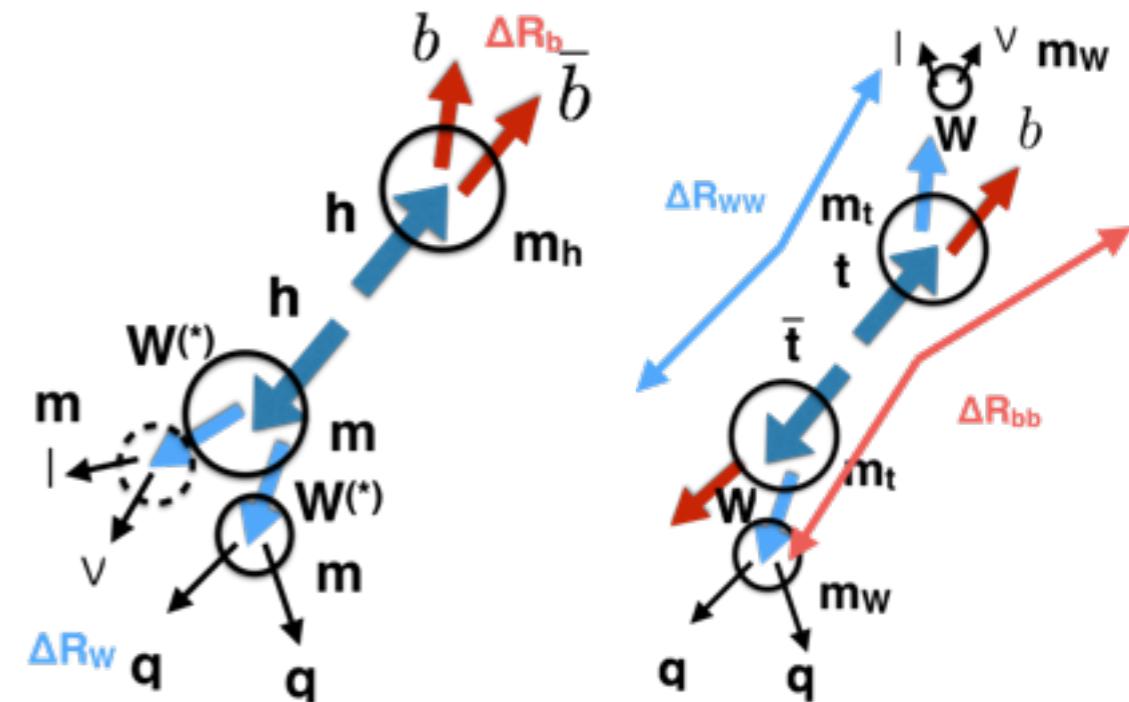


Particle flow versus calorimeter tower jets



The $hh \rightarrow WWbb \rightarrow l\nu bb$ channel

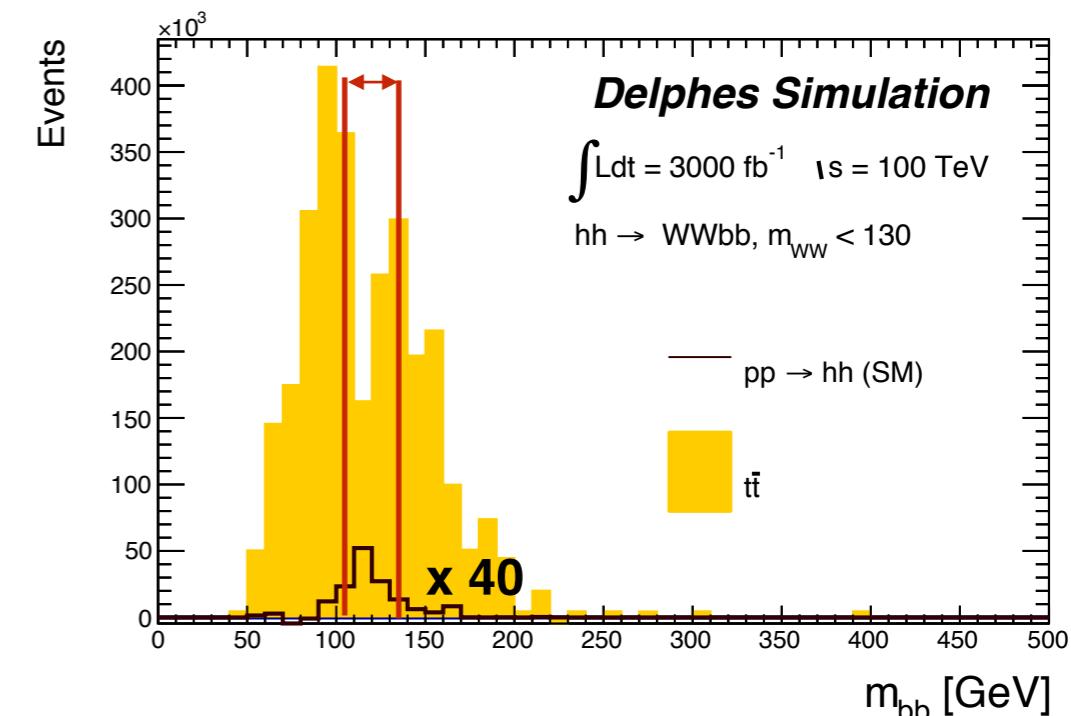
- Final state very close to the $t\bar{t}$ background, possible to disentangle the two only through the use of many variables
- Ideal analysis would exploit all mass constraints through a kinematic fit, profit of different angular and spin correlation through an MVA analysis
- This is just the first attempt, tried to use a simple cut based analysis, to train the machinery
 - at least one isolated lepton with $p_T > 15$ GeV, $|\eta| < 2.5$ use the Higgs mass constraint to compute the neutrino longitudinal momentum
 - at least 4 jets with $p_T > 20$ GeV $|\eta| < 2.5$
 - at least 2 b-jets



The $hh \rightarrow WWbb \rightarrow lvbb$ channel, analysis cuts and results

Analysis cuts

Variable	Cut
$p_T(bb)$	$> 230 \text{ GeV}$
ΔR_{bb}	< 1.2
$p_T(WW)$	$> 140 \text{ GeV}$
ΔR_{WW}	< 1.2
m_{WW}	$< 130 \text{ GeV}$
m_{bb}	$105 - 135 \text{ GeV}$



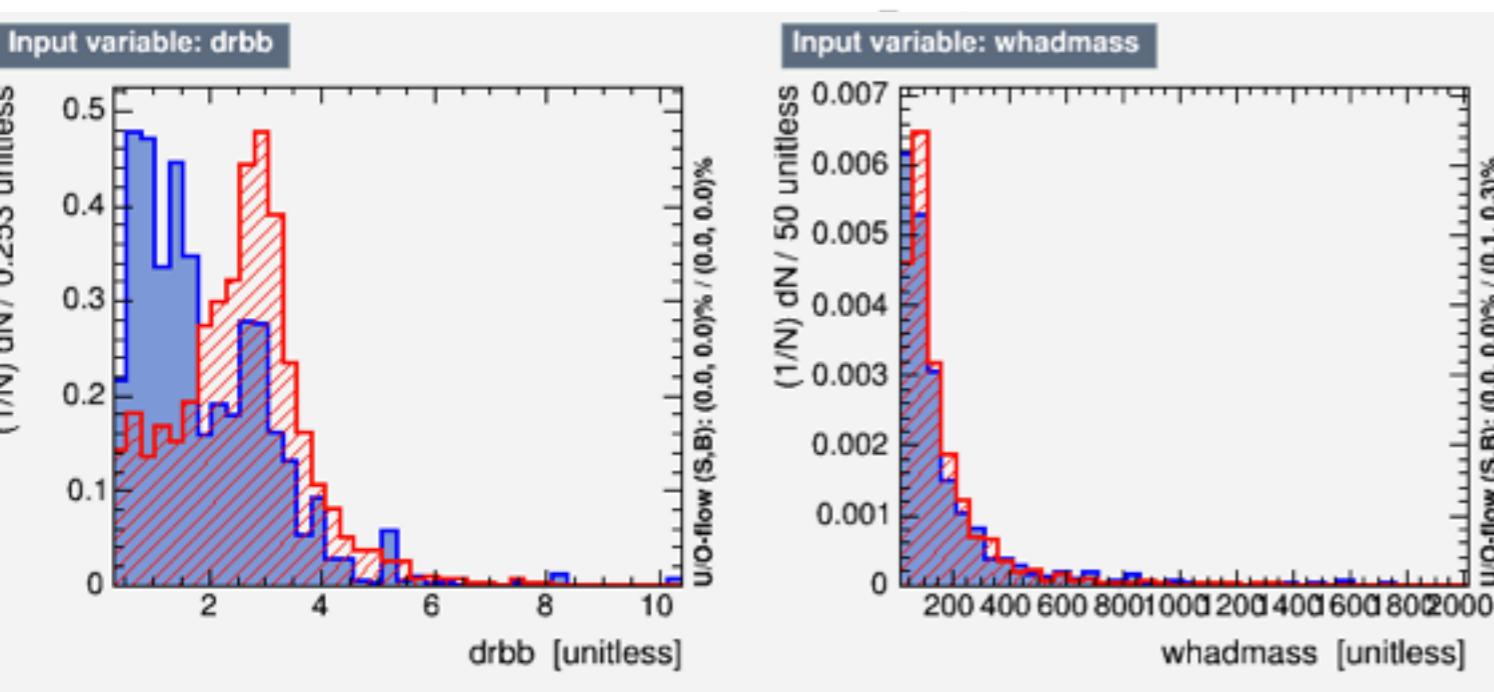
3 ab^{-1} PU 50	Object selection	Final selection	ϵ
hh-WWbb	7084	803	$2.5 \cdot 10^{-3}$
$t\bar{t}$	$5.4 \cdot 10^9$	$7.9 \cdot 10^5$	
S/B _{kg}	$1.3 \cdot 10^{-6}$	$1.0 \cdot 10^{-3}$	

3 ab^{-1} PU 200	Object selection	Final selection	ϵ
hh-WWbb		$5.4 \cdot 10^4$	273
$t\bar{t}$	$3.6 \cdot 10^9$	$3.4 \cdot 10^5$	
S/B _{kg}	$1.5 \cdot 10^{-5}$	$8.0 \cdot 10^{-4}$	

S/B quite low , need to work more on analysis selection implementing more variables and using a MVA approach.

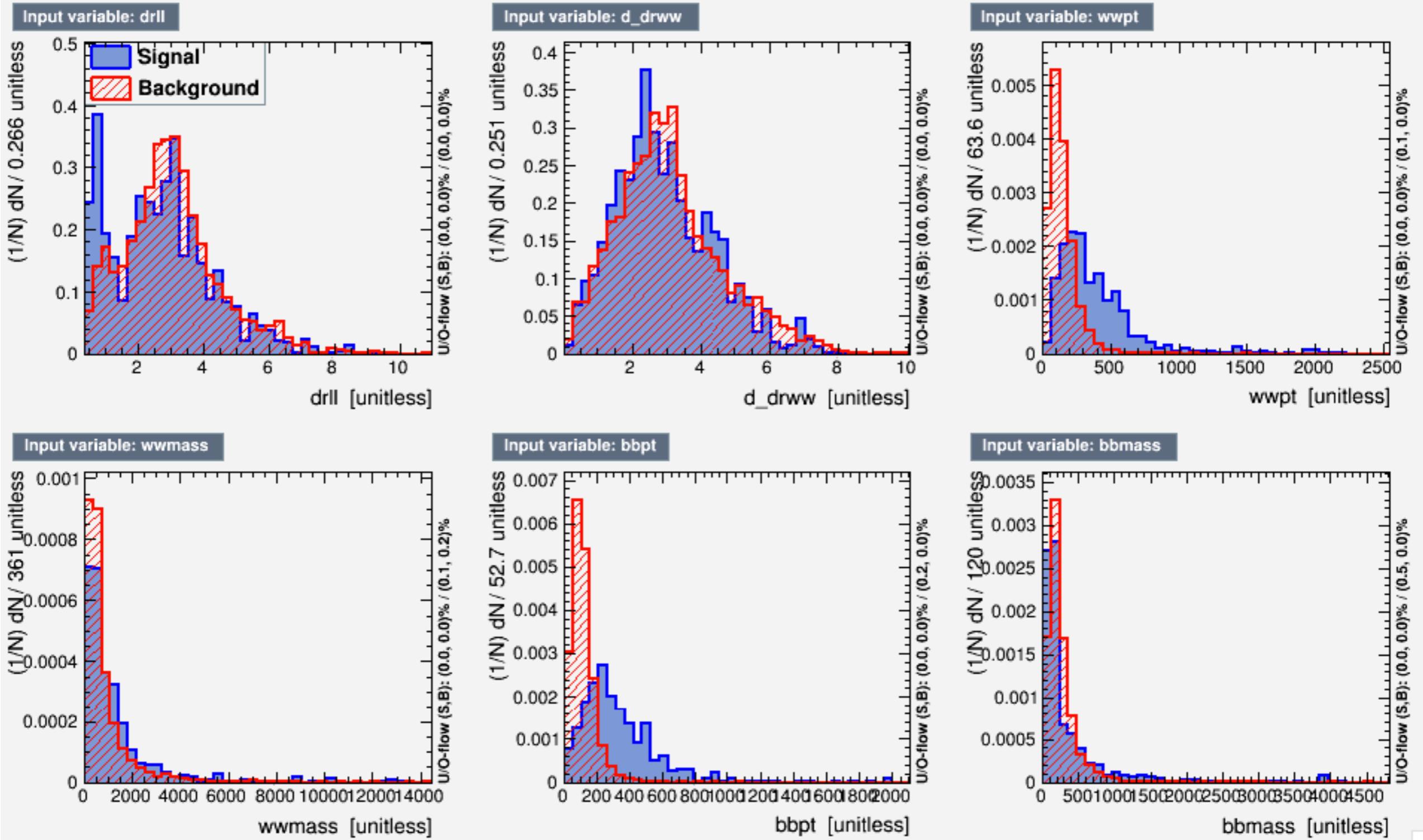
BDT input variables

drll : ΔR_{jj} (j is a light jet)
 whadmass : m_{jj}



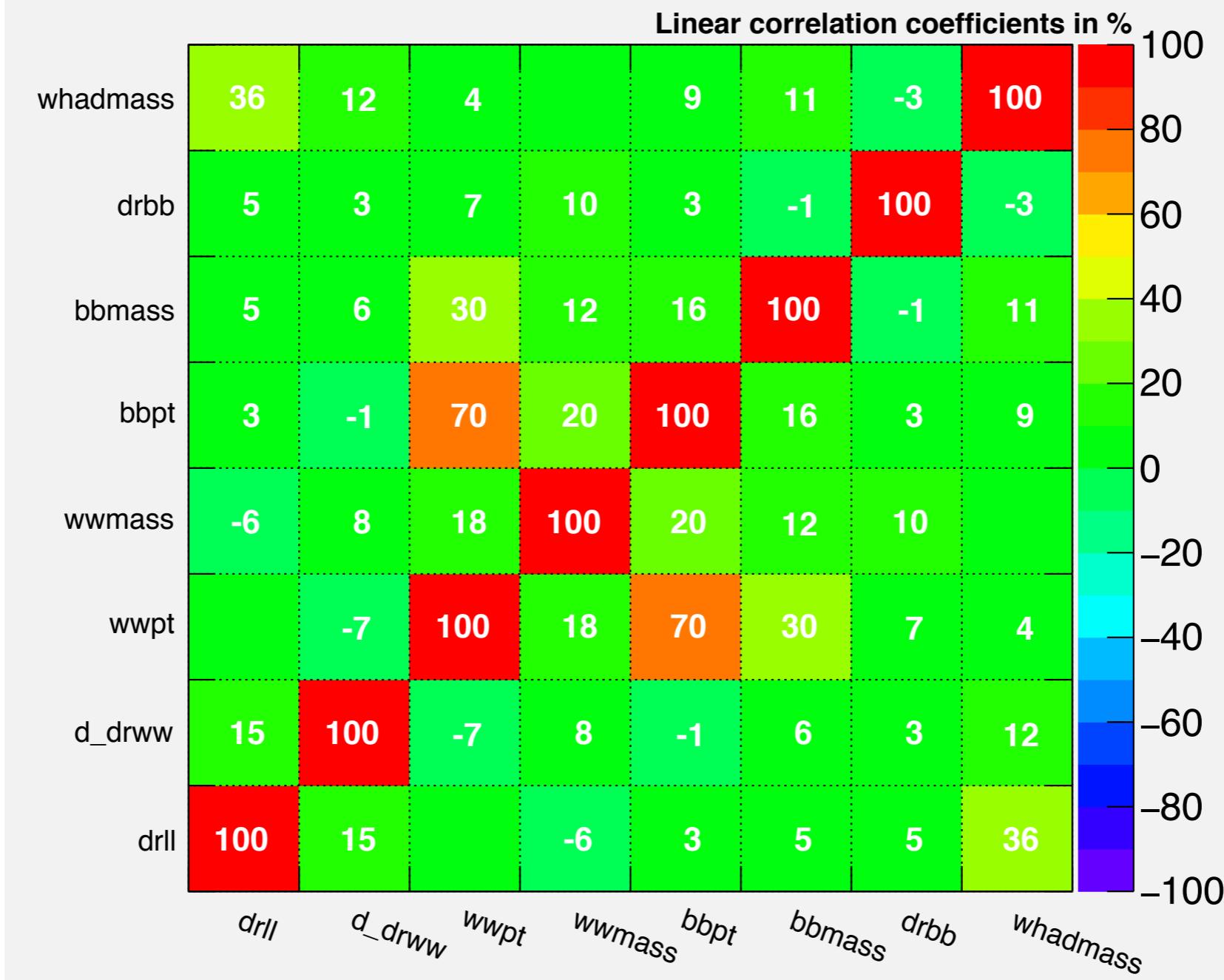
:	Ranking input variables (method specific)...
:	Ranking result (top variable is best ranked)
:	-----
:	Rank : Variable : Variable Importance
:	-----
:	1 : drbb : 1.820e-01
:	2 : drll : 1.700e-01
:	3 : d_drww : 1.415e-01
:	4 : bbpt : 1.293e-01
:	5 : bbmass : 1.099e-01
:	6 : wwpt : 1.022e-01
:	7 : wwmass : 8.427e-02
:	8 : whadmass : 8.076e-02
:	-----

Input variables distributions, second set

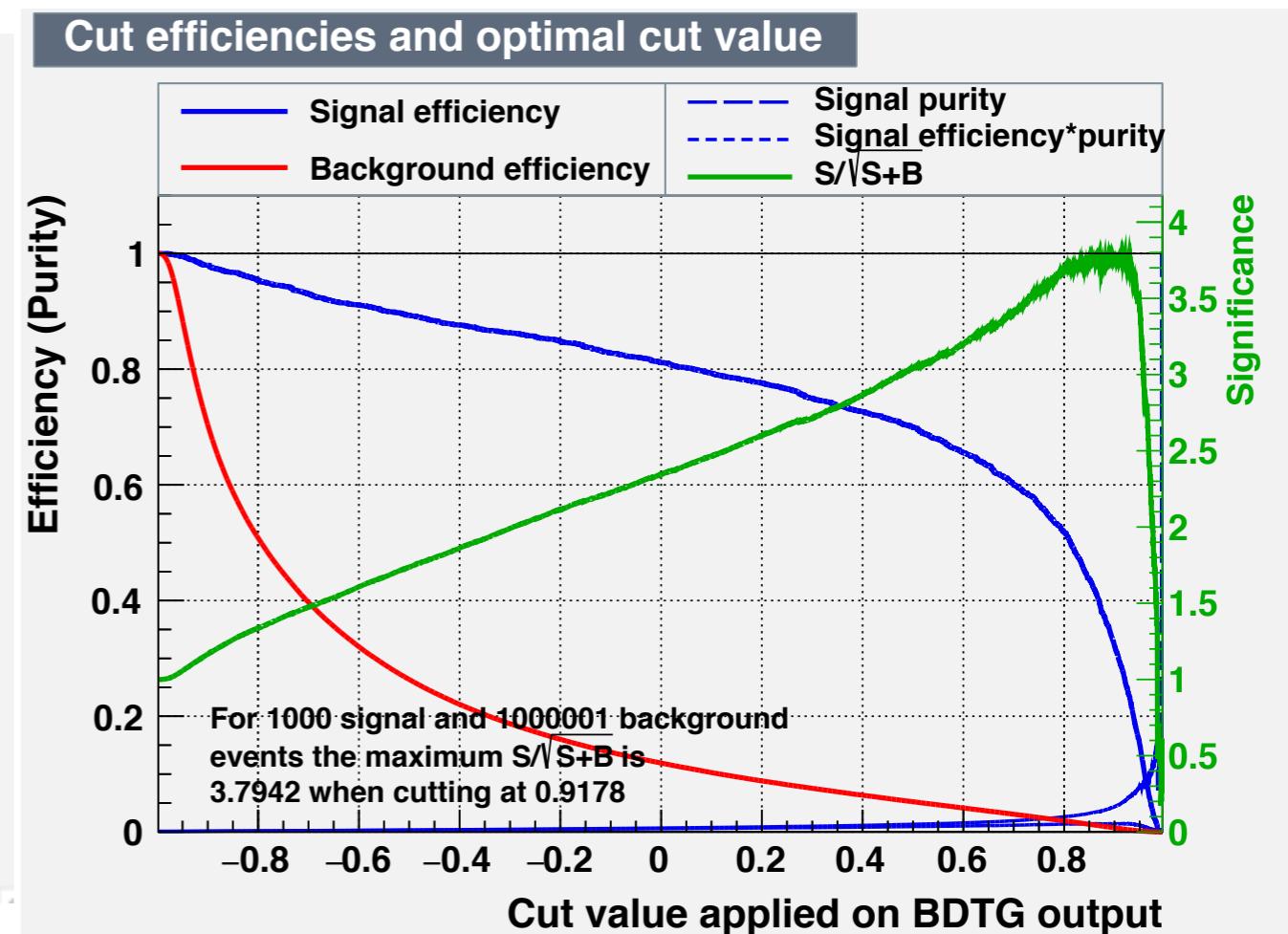
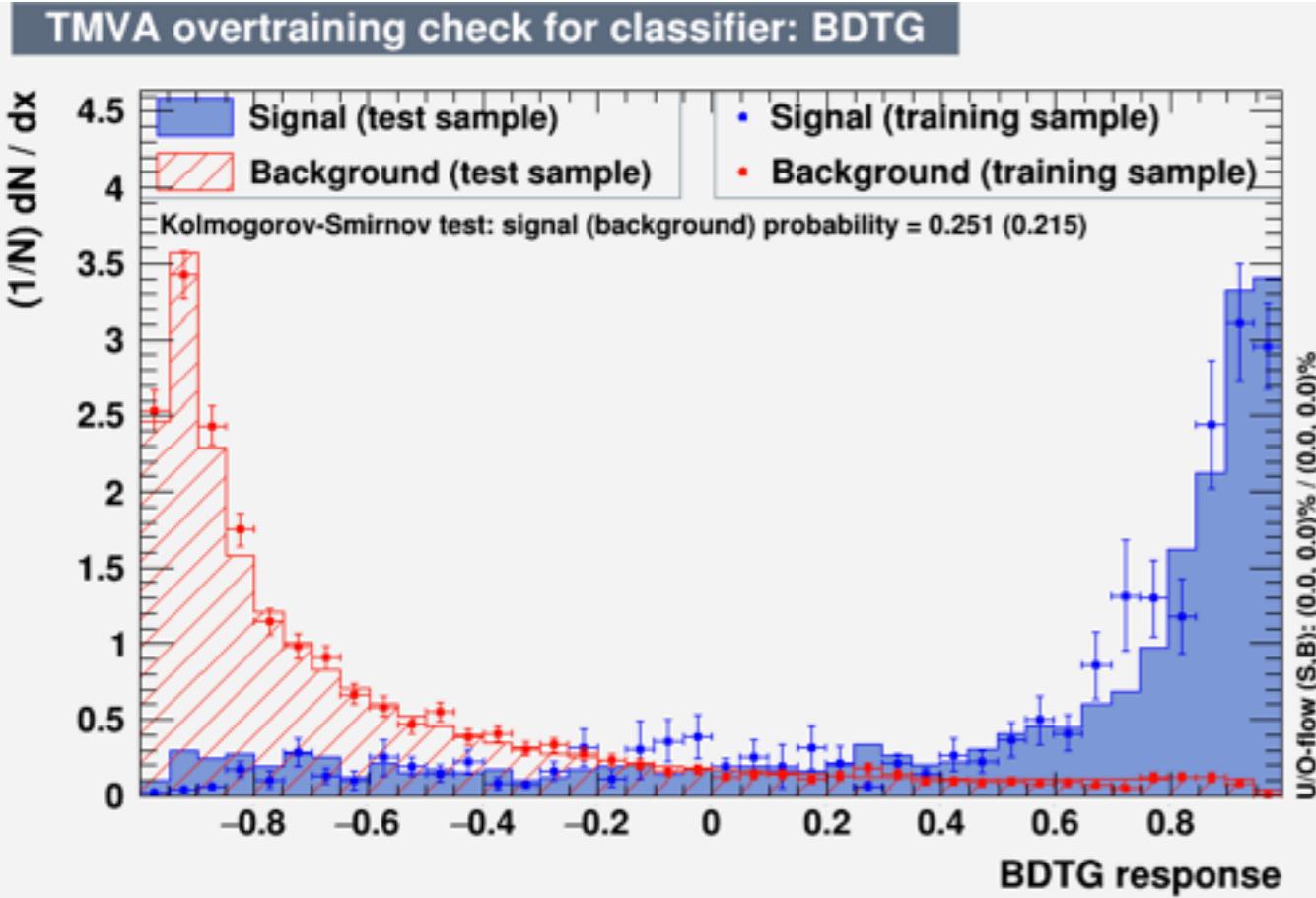


Input variables correlation

Correlation Matrix (signal)

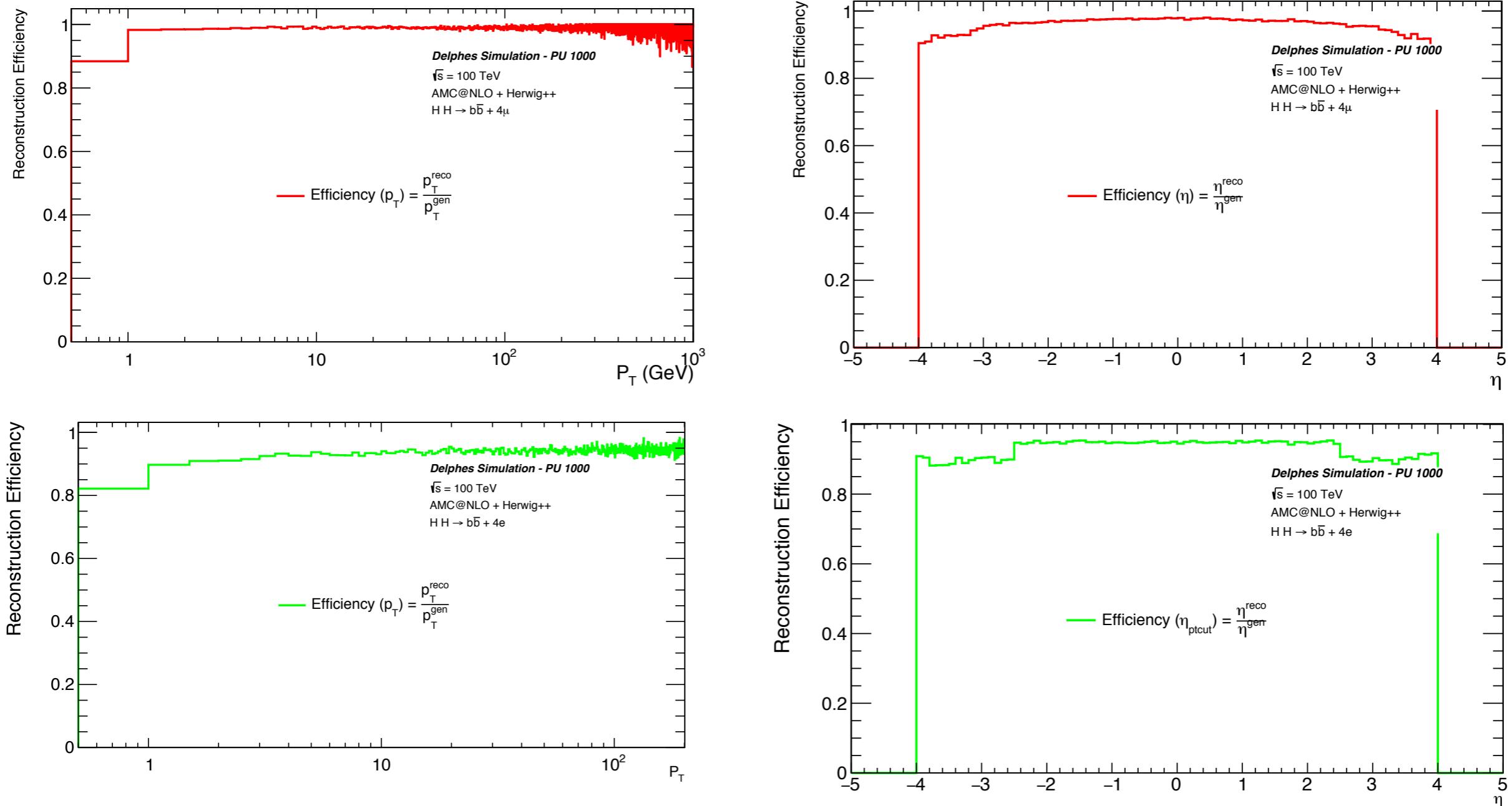


BDT performance



Poor performance at the moment, need to work on adding more variables, include preselection cuts and so on.

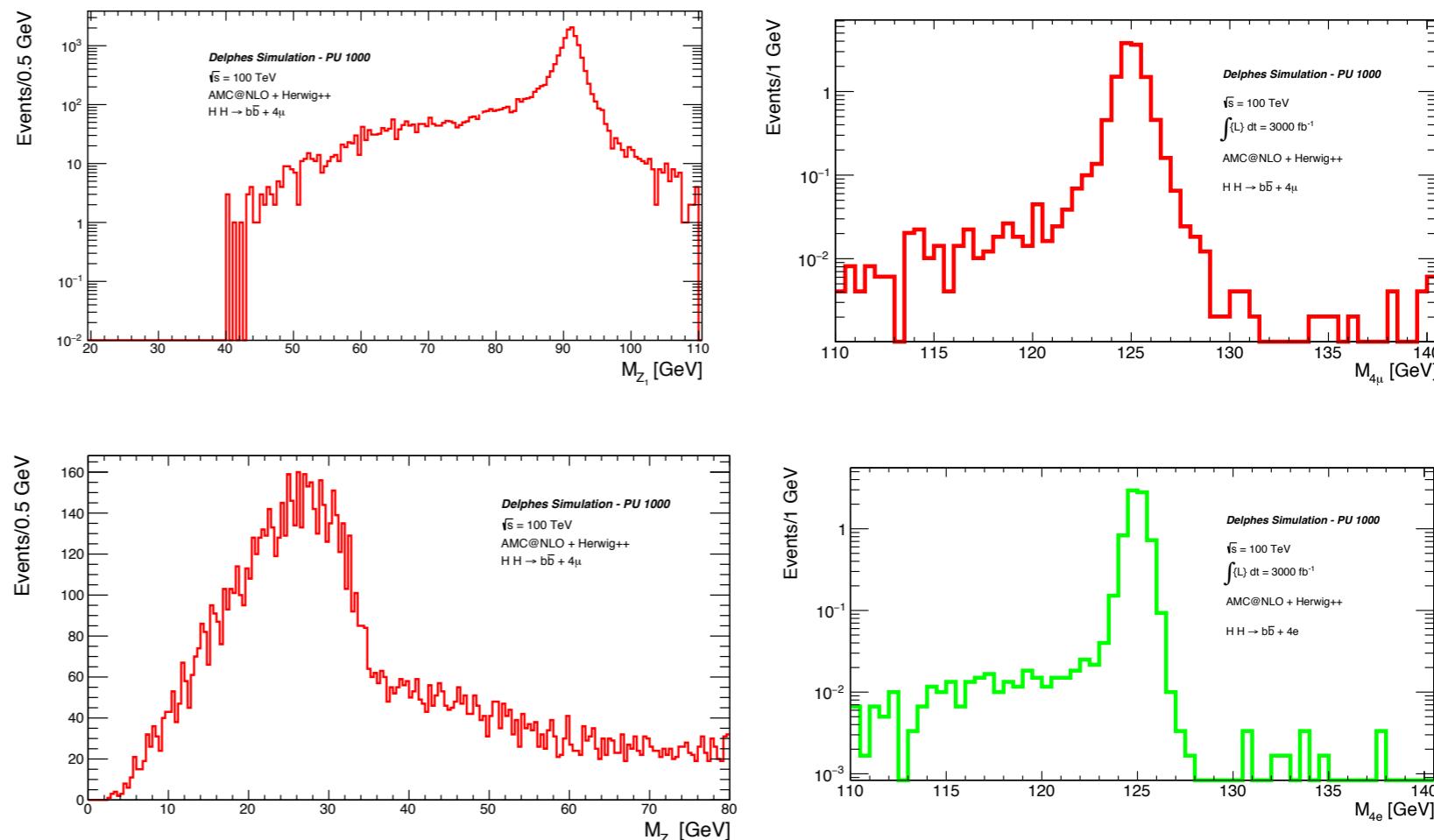
Lepton efficiencies in the ZZbb → 4lbb analysis



Extremely high tracking efficiencies for muons: need to start to think to trigger and identification efficiencies to have realistic acceptances

The $hh \rightarrow ZZbb \rightarrow 4lbb$ channel

- ≥ 4 muons with $p_T > 5$ GeV, $|\eta| < 4.0$
- ≥ 4 electrons with $p_T > 7$ GeV, $|\eta| < 4.0$
- Z_1 selection: $\ell^+ \ell^-$ pair with mass closest to the nominal Z boson mass
 40 GeV $< m_{Z_1} < 120$ GeV
- Z_2 selection: second $\ell^+ \ell^-$ pair
 12 GeV $< m_{Z_2} < 120$ GeV
- Among the 4 selected leptons: at least one with $p_T > 20$ GeV and one with $p_T > 10$ GeV
- QCD suppression: $m(\ell^+ \ell^-) > 4$ GeV
- Kinematic cuts: $m_{4\ell} > 120$ GeV, $m_{4\ell} < 130$ GeV
- At least 2 b-jets with $p_T > 30$ GeV



$$\mathcal{L} = 3 \text{ ab}^{-1}$$

	$\sigma \cdot L$	no b-jet req.	with b-jet	ε (no b-jet)	ε (b-jet)
4μ	161	61	12.1	38%	7.4%
$4e$	161	40	7.7	25%	4.8%
Tot	322	101	20	31%	6.2%

- forward b-tagging can be an important ingredient of the analysis, need to test configuration with fwd dipole
- big impact from lepton isolation cut (not presented here), need to optimise isolation criteria

Conclusions

- WWbb analysis still needs work for optimisation, plan for the workshop is to study jet eta acceptance and improve BDT response
- ZZbb plans: implement some guess on trigger efficiencies and include main backgrounds in the simulation