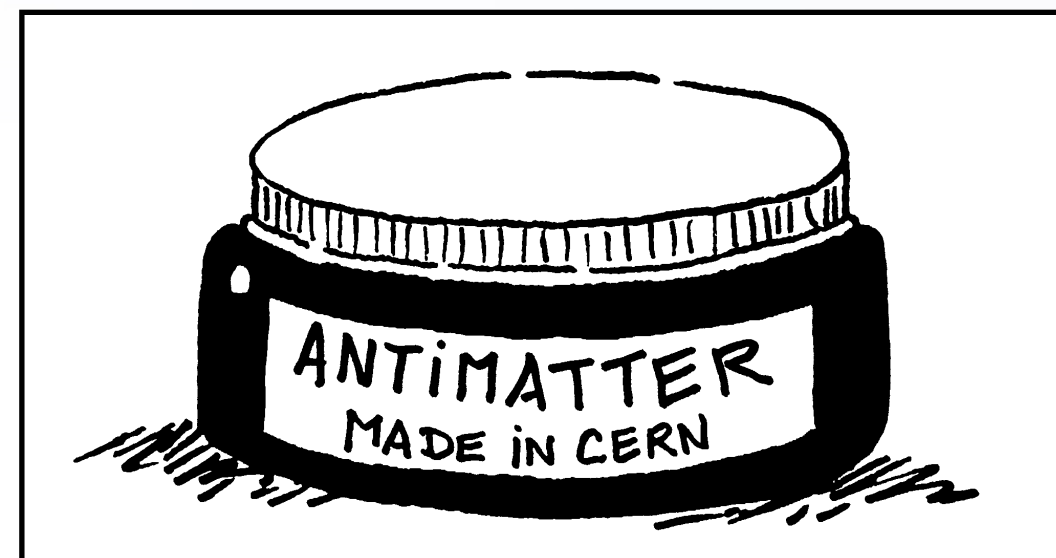


ANTIMATTER IN THE LAB

Chloé Malbrunot
CERN



CONTENT

LECTURE # 1 (This lecture)

- What is antimatter?
- Some historical reminders
- Discrete symmetries
- Primordial antimatter search

LECTURE # 2

- Antiprotons at colliders : discovery machines
- Antiprotons at lower energies : cooling techniques
- Antiproton trapping techniques

LECTURE # 3

- Experiments at the AD : exotic atoms made of antimatter
- Antihydrogen : a tool to study matter-antimatter asymmetry
- Everyday's application of antimatter

What is antimatter?

Quote from Angel & Demons (Dan Brown) : “Antimatter creates no pollution or radiation ... is highly unstable [and] ignites when it comes in contact with absolutely anything”

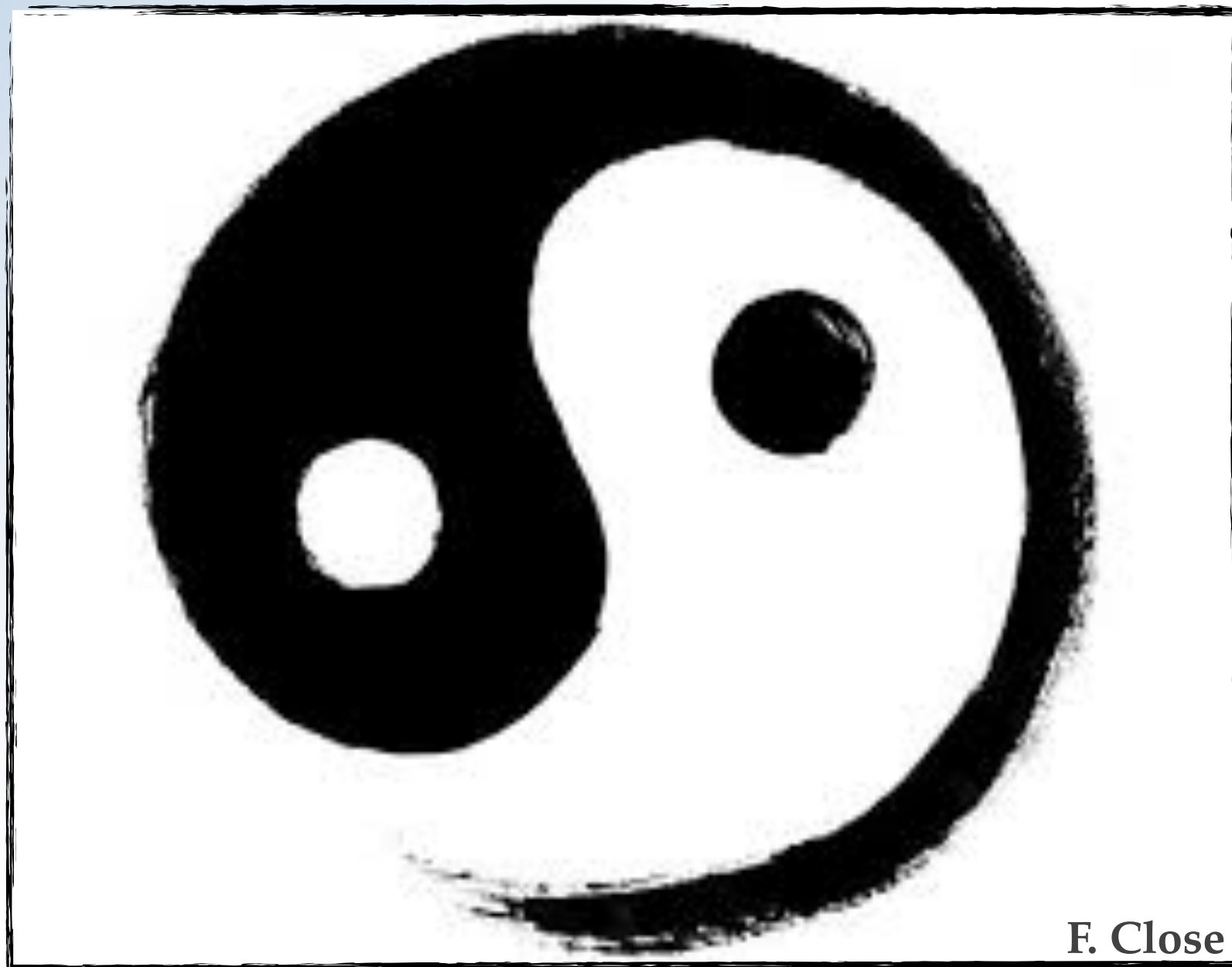
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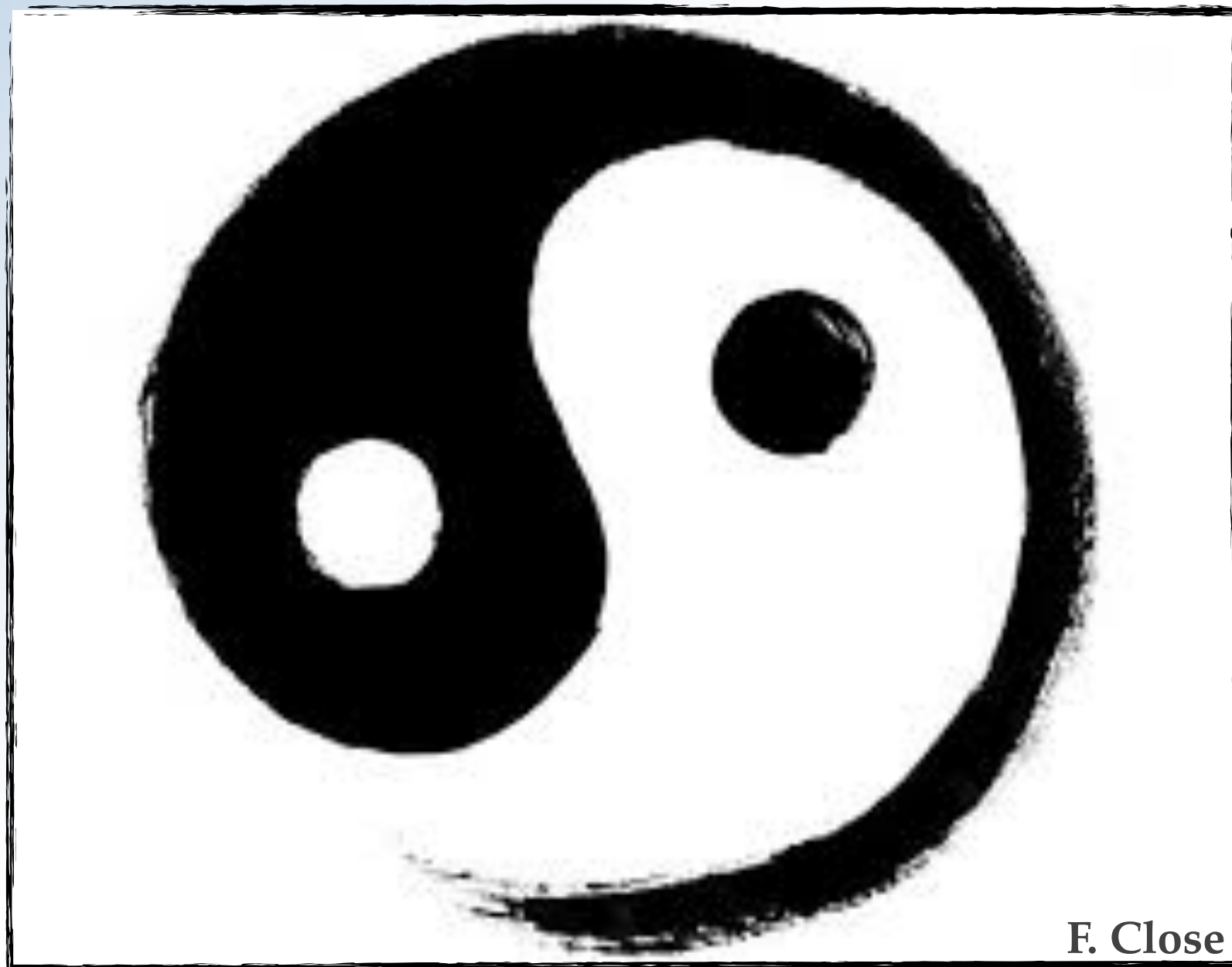
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What is antimatter?



\bar{t} top	\bar{c} charm	\bar{s} qu	Quarks	u up	c charm	t top
\bar{d} bottom	\bar{s} strange	\bar{b} nwob		d down	s strange	b bottom
$\bar{\nu}_\tau$ neutrino	$\bar{\nu}_\mu$ neutrino	$\bar{\nu}_e$ neutrino		ν_e e neutrino	ν_μ μ neutrino	ν_τ τ neutrino
τ u6t	μ muon	e electron	Leptons	e electron	μ muon	τ tau

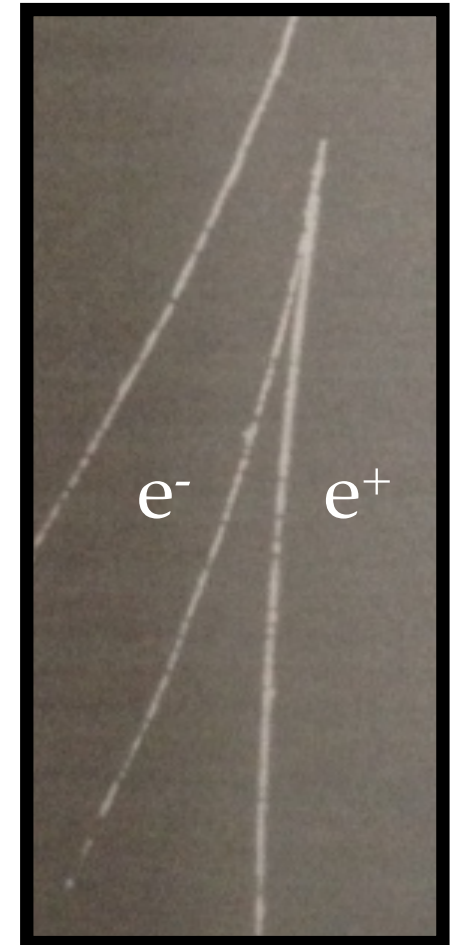
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$$E = mc^2$$



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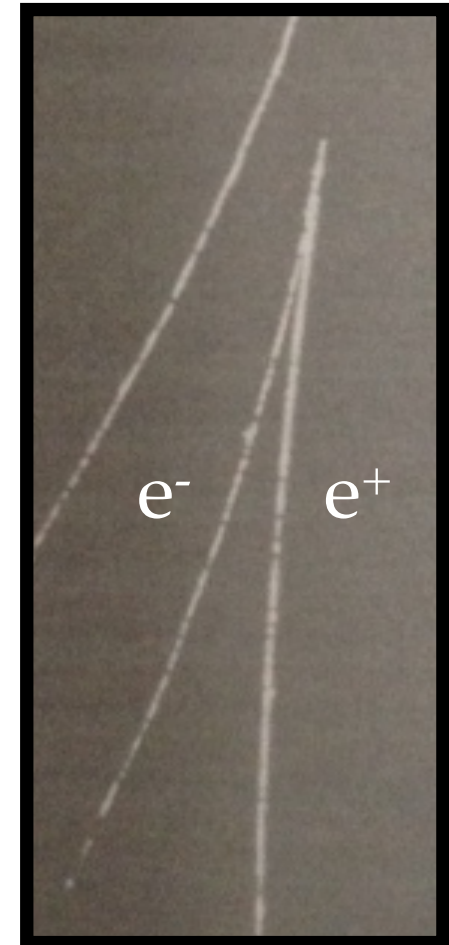
$$E = mc^2$$

YOU MATTER

*Until you multiply
yourself by the speed
of light squared...*



THEN YOU ENERGY



What is antimatter?

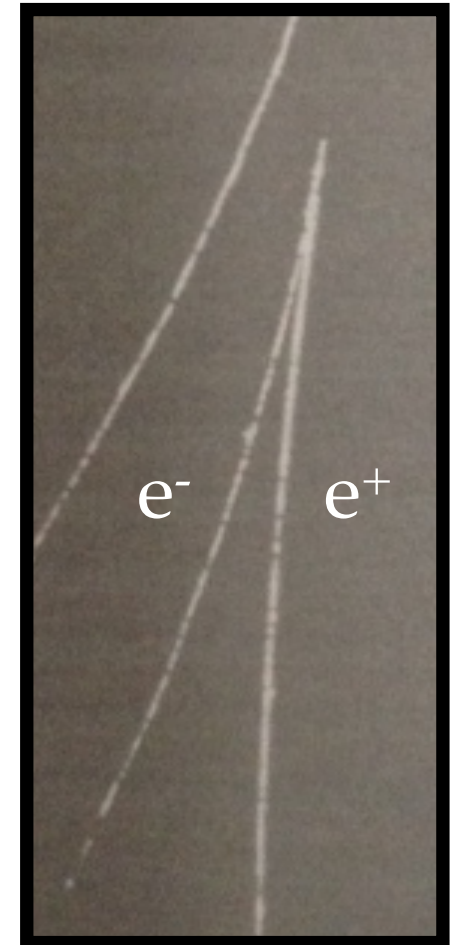
$$E = mc^2$$

YOU MATTER

*Until you multiply
yourself by the speed
of light squared...*



THEN YOU ENERGY



and then you can ANTIMATTER!

The “BIG” questions

Excerpt of the list containing the open questions in particle physics:

- ◆ Why is the Higgs boson so light (so-called “naturalness” or “hierarchy” problem) ?
- ◆ **What is the origin of the matter-antimatter asymmetry in the Universe ?**
- ◆ Why 3 fermion families ? Why do neutral leptons, charged leptons and quarks behave differently ?
- ◆ What is the origin of neutrino masses and oscillations ?
- ◆ What is the composition of dark matter (23% of the Universe) ?
- ◆ What is the cause of the Universe’s accelerated expansion (today: dark energy ? primordial: inflation ?)
- ◆ Why is Gravity so weak ?
- ◆ ...

Matter - Antimatter asymmetry

10 000 000 001

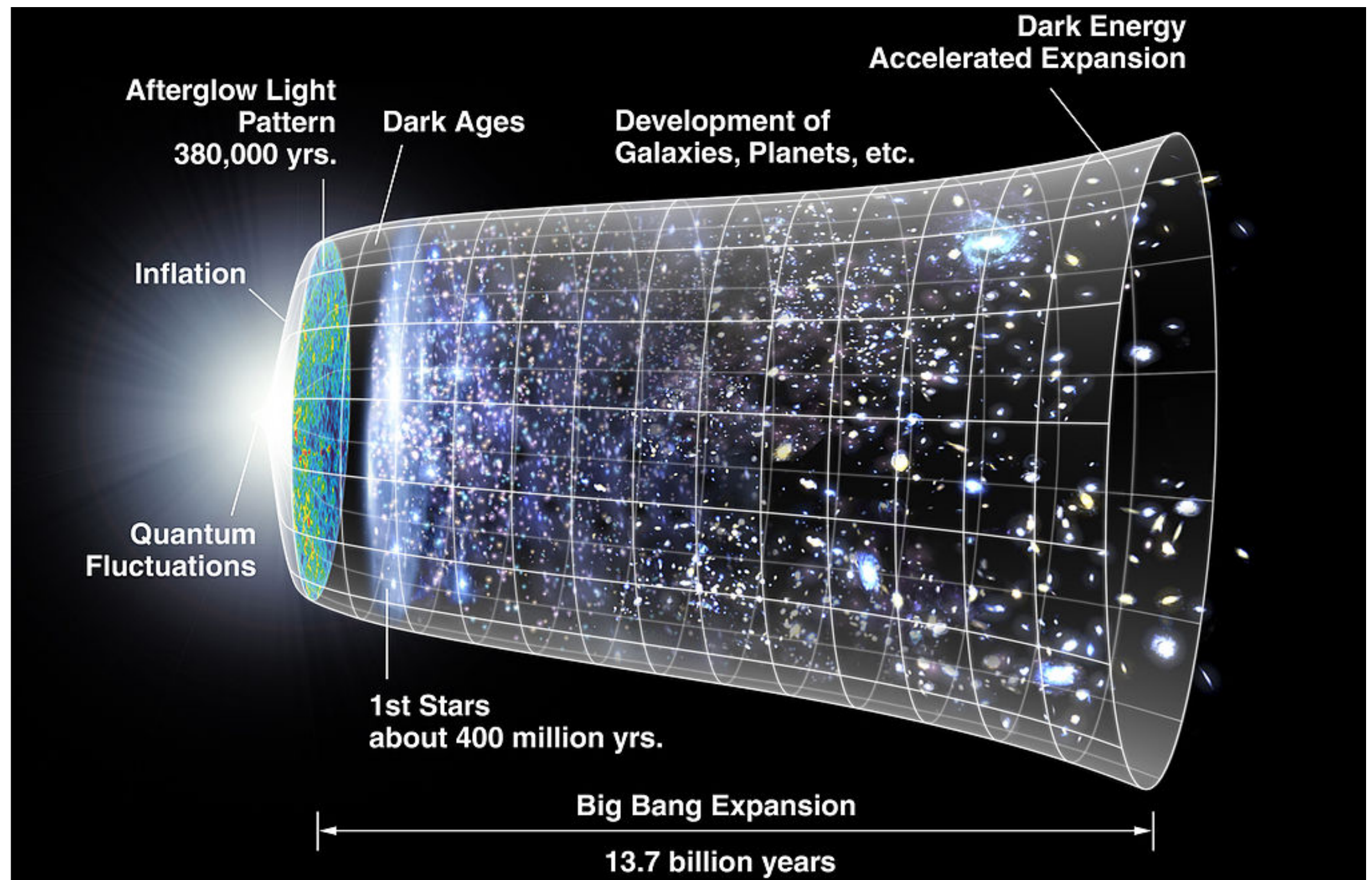
MATTER

10 000 000 000

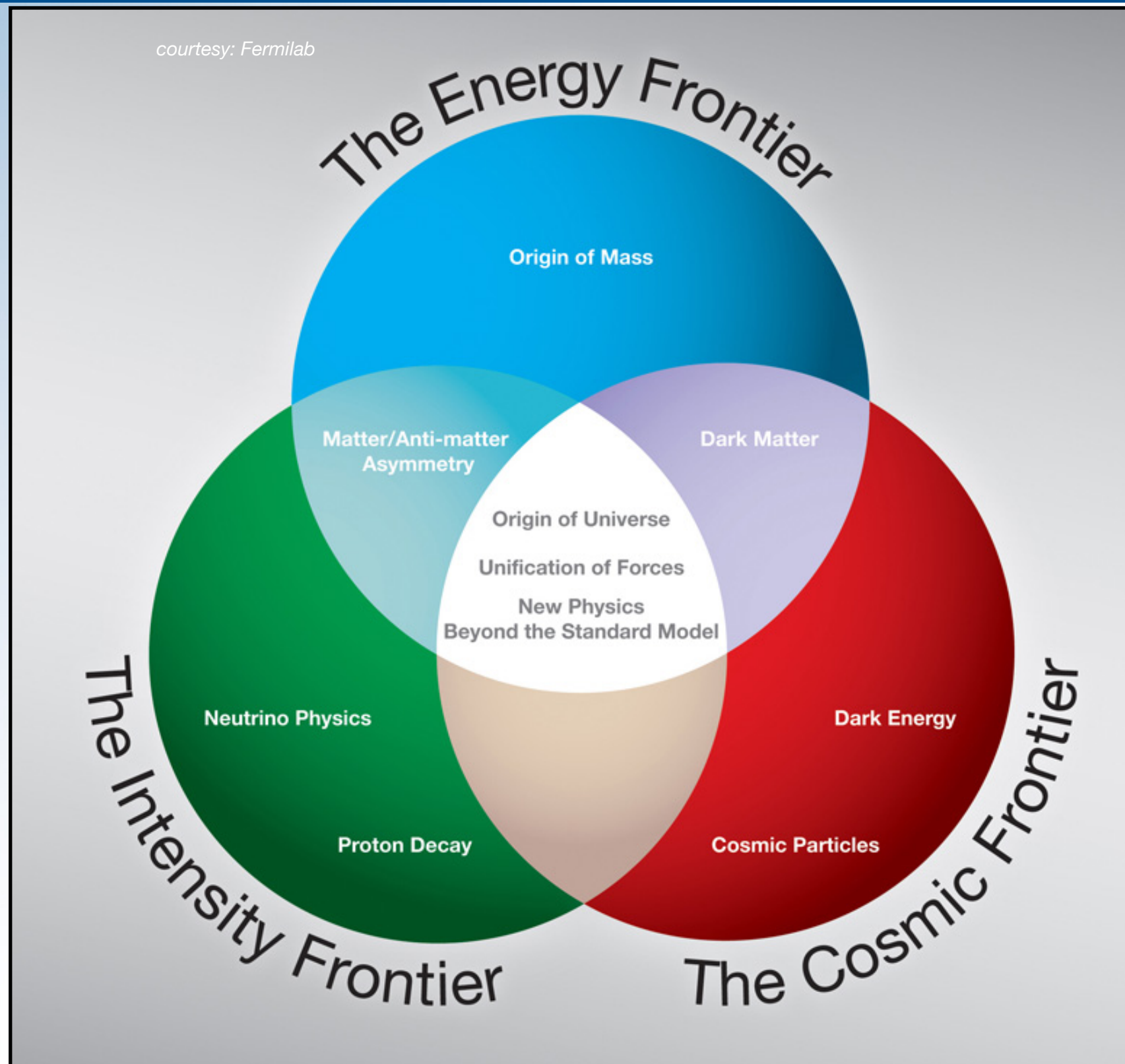
ANTIMATTER



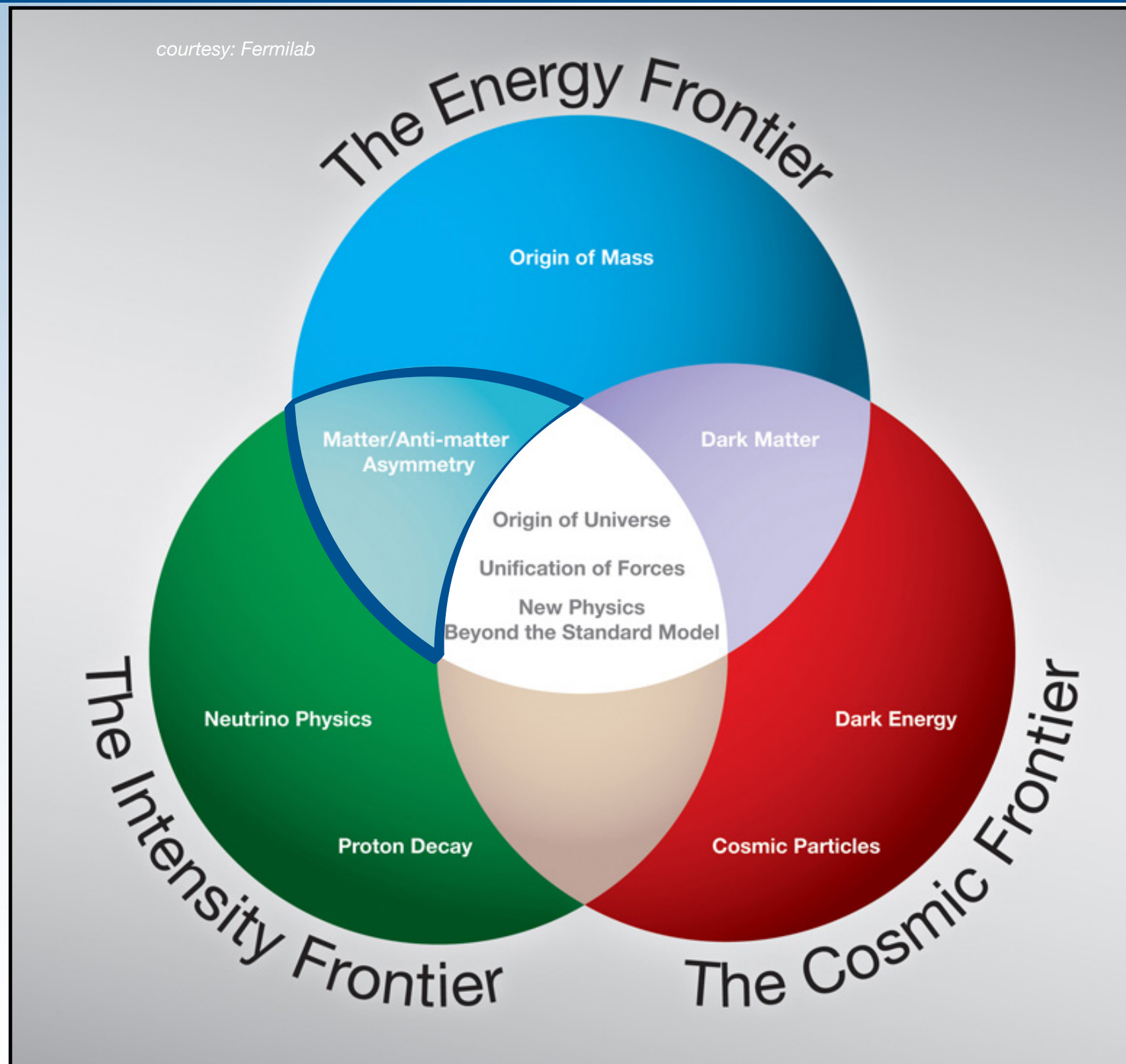
Matter - Antimatter asymmetry



Frontiers of Particle Physics



Frontiers of Particle Physics

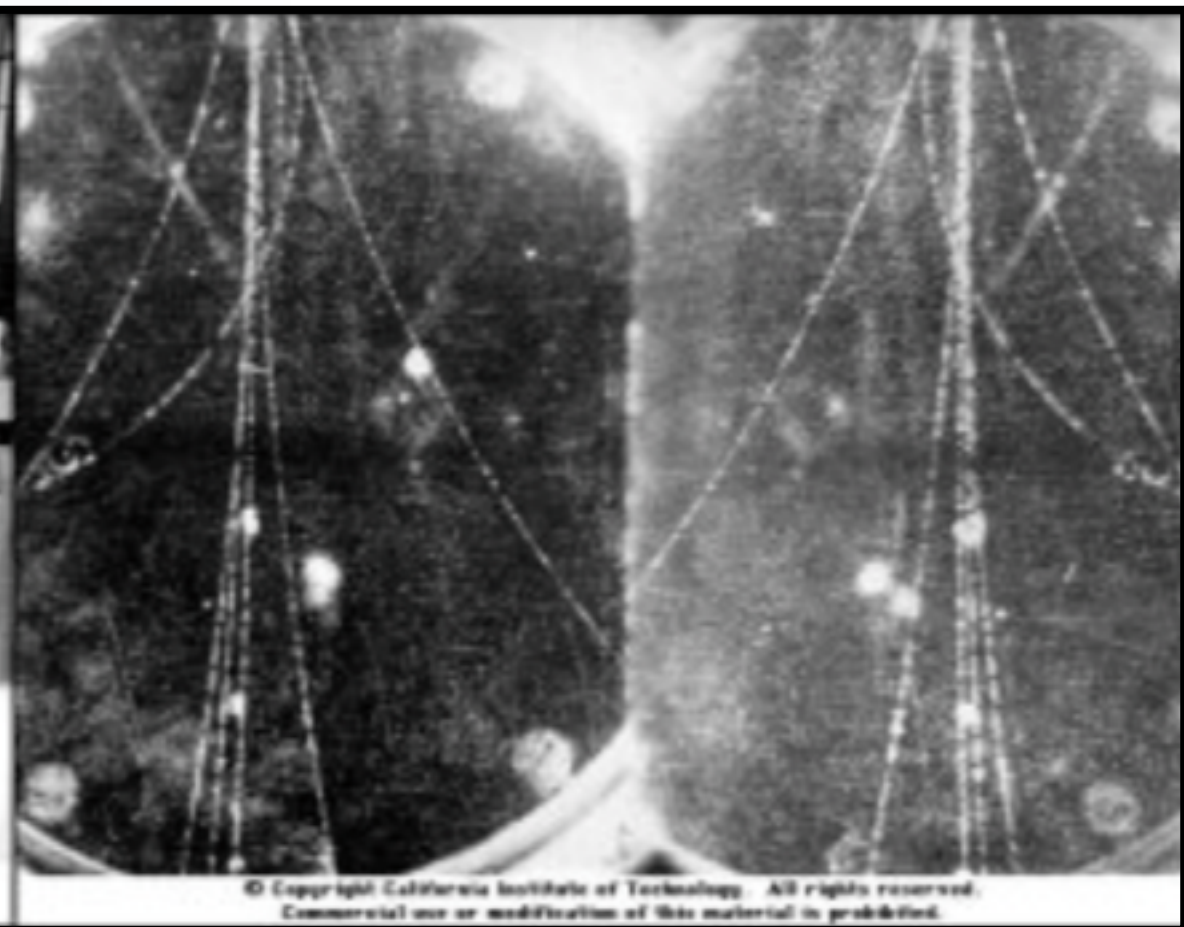


Some Bits of History

1932 : Discovery of the positron (Nobel Prize shared with V. Hess in 1936)

C. Anderson

In Cosmic Rays using a Cloud Chamber



Some Bits of History

1928 : The Dirac equation (Nobel Prize in 1933)

$$E = \frac{p^2}{2m} \rightarrow i\hbar \frac{\partial}{\partial t} \psi = -\frac{\hbar^2}{2m} \nabla^2 \psi$$

$$E \rightarrow i\hbar \frac{\partial}{\partial t}$$

$$p \rightarrow -i\hbar \nabla$$

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$$H^2\psi = (\alpha_i P_i + \beta m)(\alpha_j P_j + \beta m)\psi$$

$$= \underbrace{(\alpha_i^2)}_{=1} P_i^2 + \underbrace{(\alpha_i \alpha_j + \alpha_j \alpha_i)}_{=0} P_i P_j + \underbrace{(\alpha_i \beta + \beta \alpha_i)}_{=0} P_i m + \underbrace{(\beta^2)}_{=1} m^2 \psi$$

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$$\gamma^0 = \begin{pmatrix} I_2 & 0 \\ 0 & -I_2 \end{pmatrix}, \gamma^1 = \begin{pmatrix} 0 & \sigma_x \\ -\sigma_x & 0 \end{pmatrix},$$

$$\gamma^2 = \begin{pmatrix} 0 & \sigma_y \\ -\sigma_y & 0 \end{pmatrix}, \gamma^3 = \begin{pmatrix} 0 & \sigma_z \\ -\sigma_z & 0 \end{pmatrix},$$

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$$(i\gamma^\mu \partial_\mu - m)\psi = 0$$

Some Bits of History

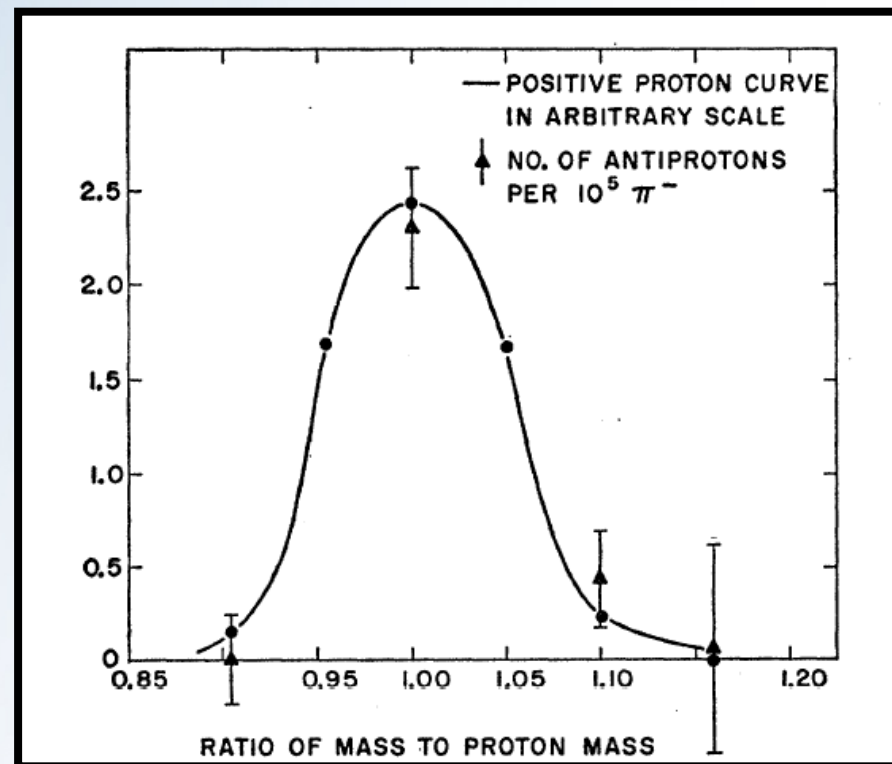
1955 : Discovery of the antiproton (Nobel Prize to Chamberlain & Segré in 1959)

Discovery at the Bevatron

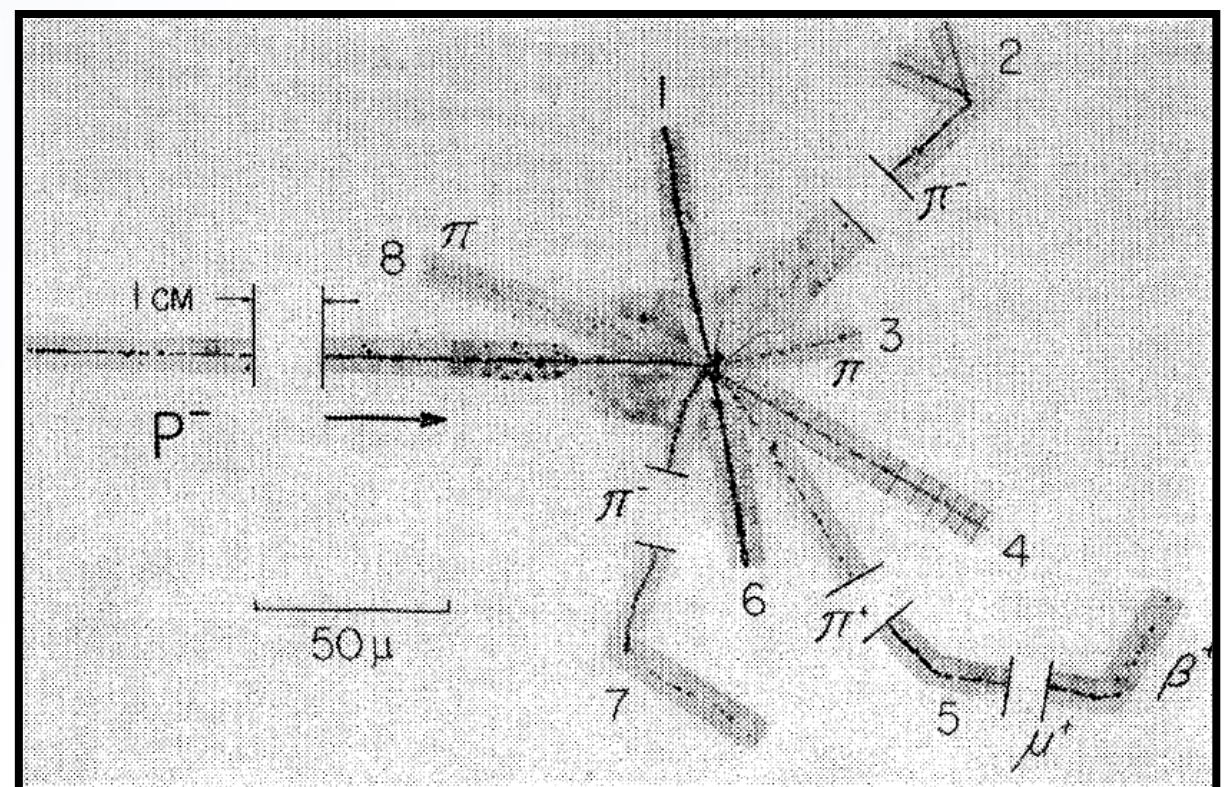
Identified 60 events

$\Delta m/m \sim 5\%$

Annihilation of an antiproton
detected in a emulsion a year later :
first \bar{p} -N annihilation observed
35 events
—> proof of antimatter character



Discrimination against other
negatively charged particles
via momentum & velocity
selection



Some Highlights on a Timeline



1932 Discovery of positron

1948 Discovery of positronium

1955 Discovery of antiproton

1956 Discovery of antineutron

1965 Discovery of antideuteron

1970 Discovery of anti- ^3He

1978 Discovery of anti-tritium

1996 First creation of relativistic antihydrogen atoms

Some Highlights on a Timeline

**First measurement of a difference
between matter & antimatter**

1932 Discovery of positron

1948 Discovery of positronium

1955 Discovery of antiproton

1956 Discovery of antineutron

1964

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Discrete Symmetries

P : Parity transformation. Invert every spatial coordinates

$$\mathbf{P}(t, \mathbf{x}) = \mathbf{P}(t, -\mathbf{x})$$

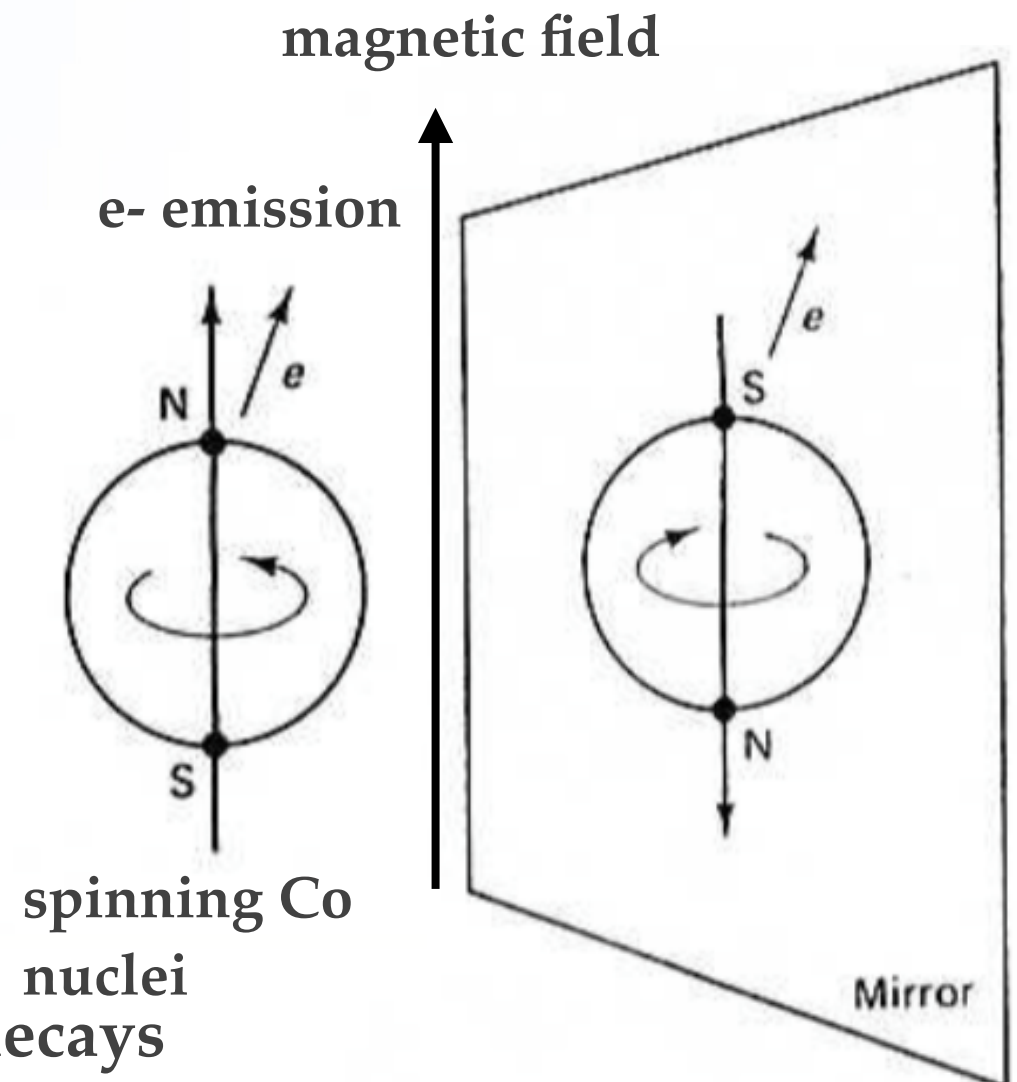
Particles and antiparticles have opposite parity

1956 : Yang and Lee realized that parity invariance had never been tested experimentally for weak interactions

Wu's experiment: recorded the direction of the emitted electron from a ^{60}Co β -decay when the nuclear spin was aligned up and down

The electron was emitted in the same direction independently of the spin.

P symmetry is MAXIMALLY violated in weak decays



Discrete Symmetries

C : Charge Conjugation. **C** reverses every internal additive quantum number (e.g. charge, baryon/lepton number, strangeness, etc.). Exchange of particle and antiparticle

$$C |p\rangle = |\bar{p}\rangle$$

Limited use because few particles are **C**-eigenstates

C is conserved in strong and EM interactions

$$C|n\gamma\rangle = (-1)^n |\gamma\rangle$$

$$C = (-1)^{l+s}$$

$$C|\pi^0\rangle = |\pi^0\rangle$$

$\pi^0 \rightarrow 2\gamma$ is allowed under CC

$\pi^0 \rightarrow 3\gamma$ is not allowed under CC

$$< 3.1 \times 10^{-8}$$

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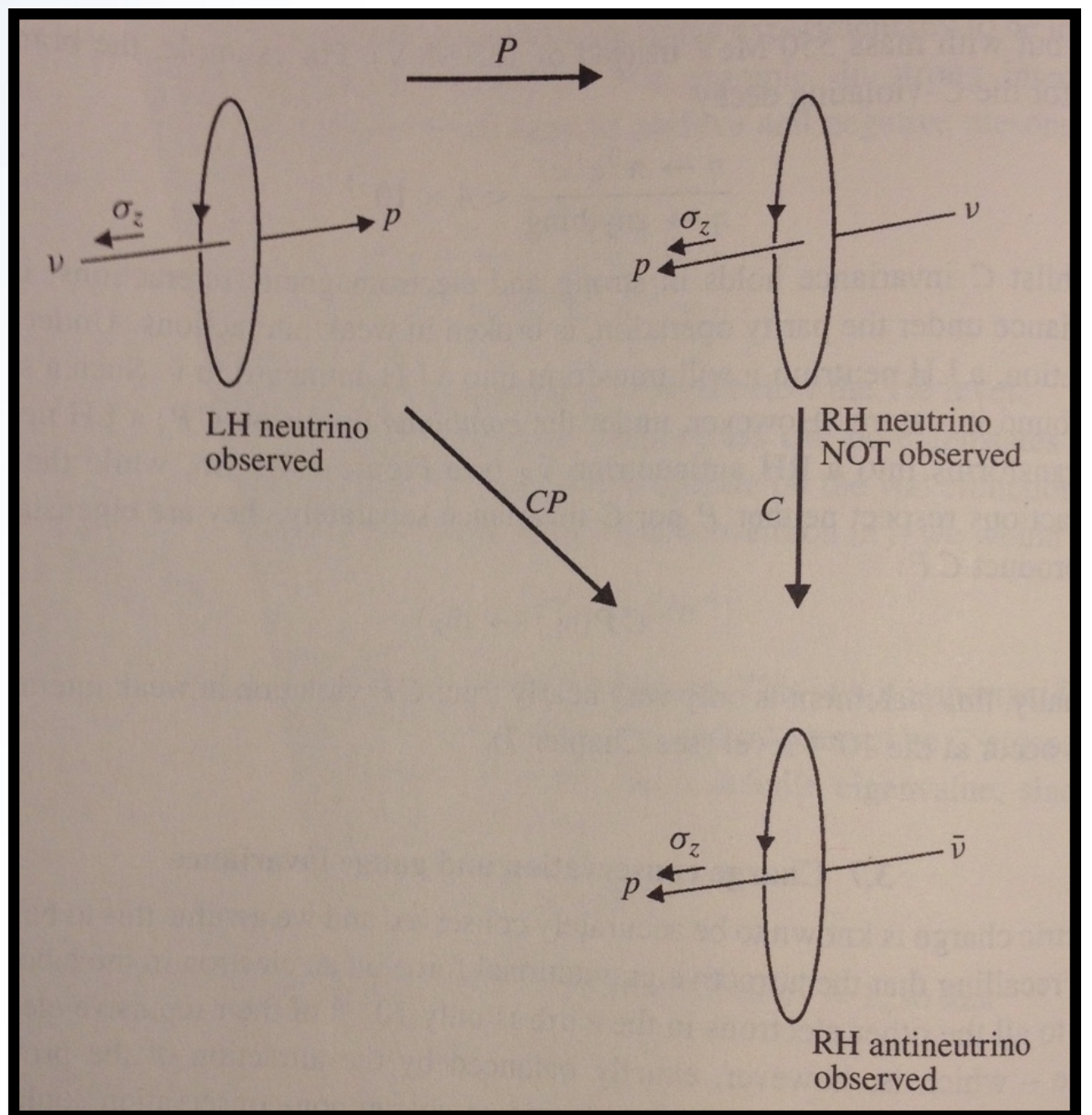
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Discrete Symmetries

CP Violation in Neutral Kaons:

$$\begin{array}{ll} K^0 : & (d\bar{s}) \quad S = +1 \\ \bar{K}^0 : & (s\bar{d}) \quad S = -1 \end{array}$$

Production through $\Delta S=0$

Decay through $\Delta S=\pm 1$

Start with a pure K^0 beam

$$|K(t)\rangle = \alpha(t) |K^0\rangle + \beta(t) |\bar{K}^0\rangle$$

Discrete Symmetries

CP Violation in Neutral Kaons:

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Decay through $\Delta S=+/- 1$

Start with a pure K^0 beam

$$|K(t)\rangle = \alpha(t) |K^0\rangle + \beta(t) |\bar{K}^0\rangle$$

CP Eigenstates :

$$\begin{array}{ll} |K_S\rangle = \frac{1}{\sqrt{2}}(|K^0\rangle + |\bar{K}^0\rangle) & CP = +1 \\ |K_L\rangle = \frac{1}{\sqrt{2}}(|K^0\rangle - |\bar{K}^0\rangle) & CP = -1 \end{array}$$

$$|K_S\rangle \rightarrow 2\pi, \quad CP = +1, \quad \tau \sim 0.9 \times 10^{-10} \text{ s}$$

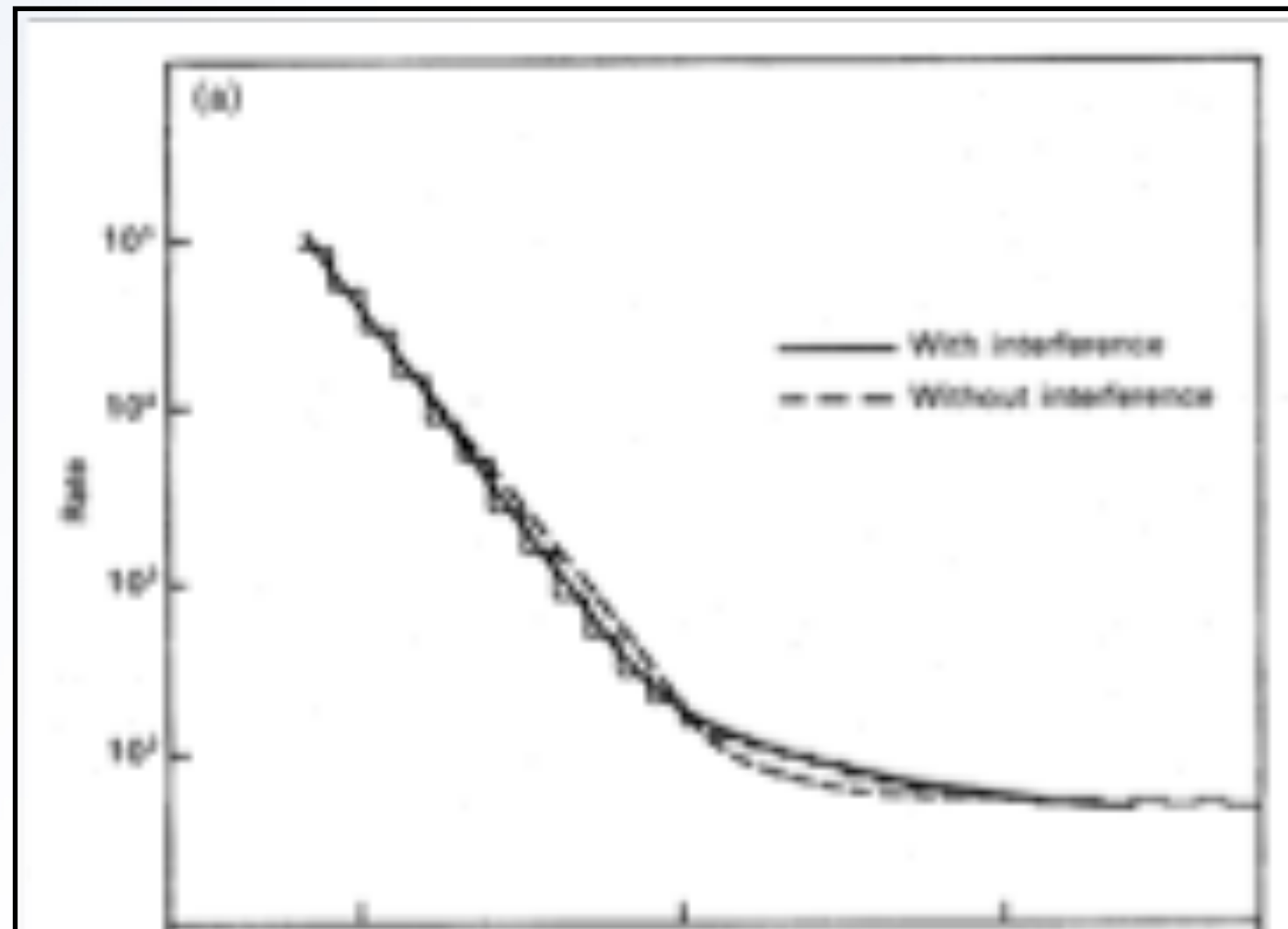
$$|K_L\rangle \rightarrow 3\pi, \quad CP = -1, \quad \tau \sim 0.5 \times 10^{-7} \text{ s}$$

Discrete Symmetries

Measured quantity :

$$|\eta_{+-}| = \frac{\text{amplitude}(K_L \rightarrow \pi^+ \pi^-)}{\text{amplitude}(K_S \rightarrow \pi^+ \pi^-)} \sim 2.3 \times 10^{-3}$$

Interferences



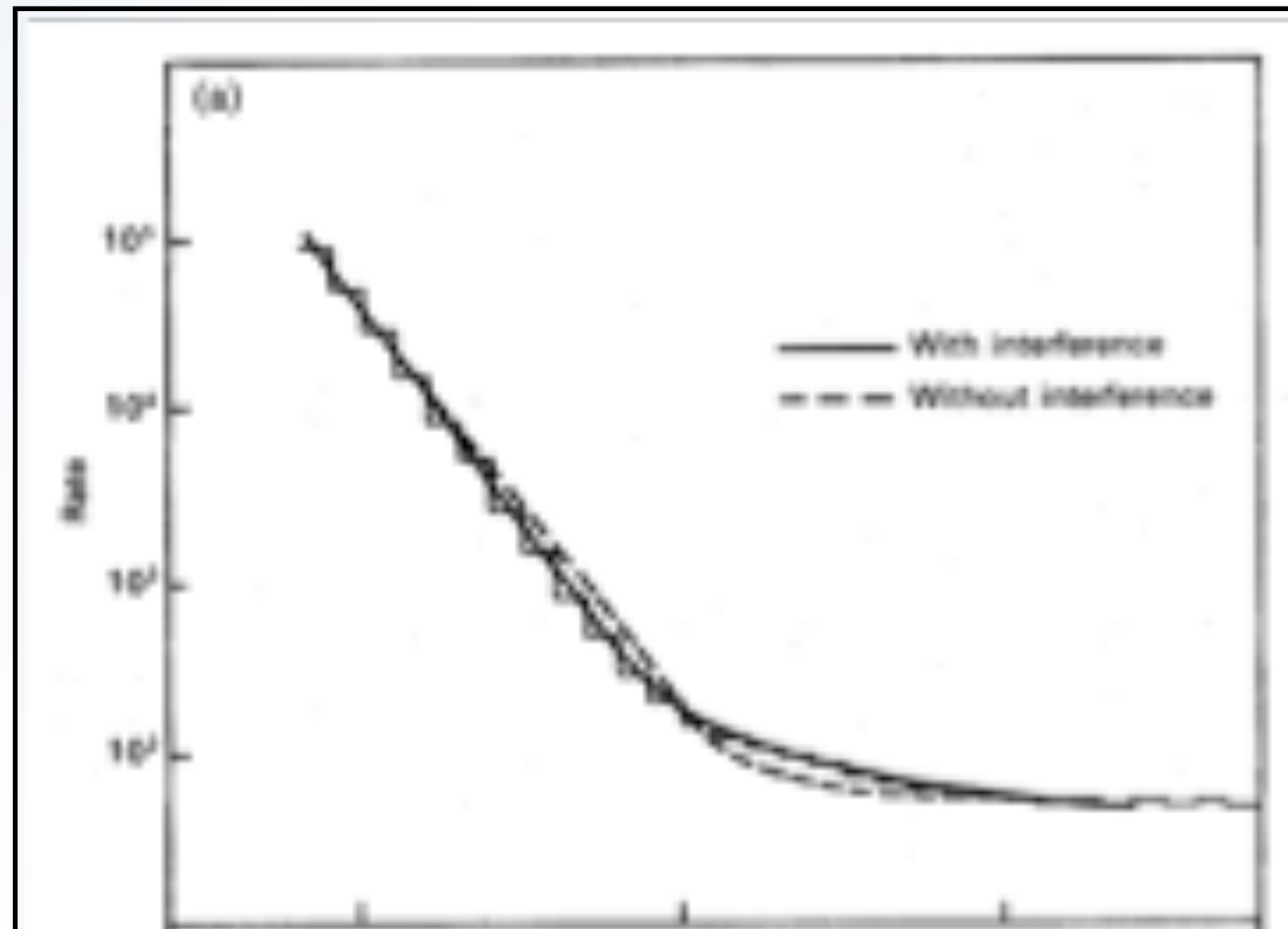
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Leptonic mode :



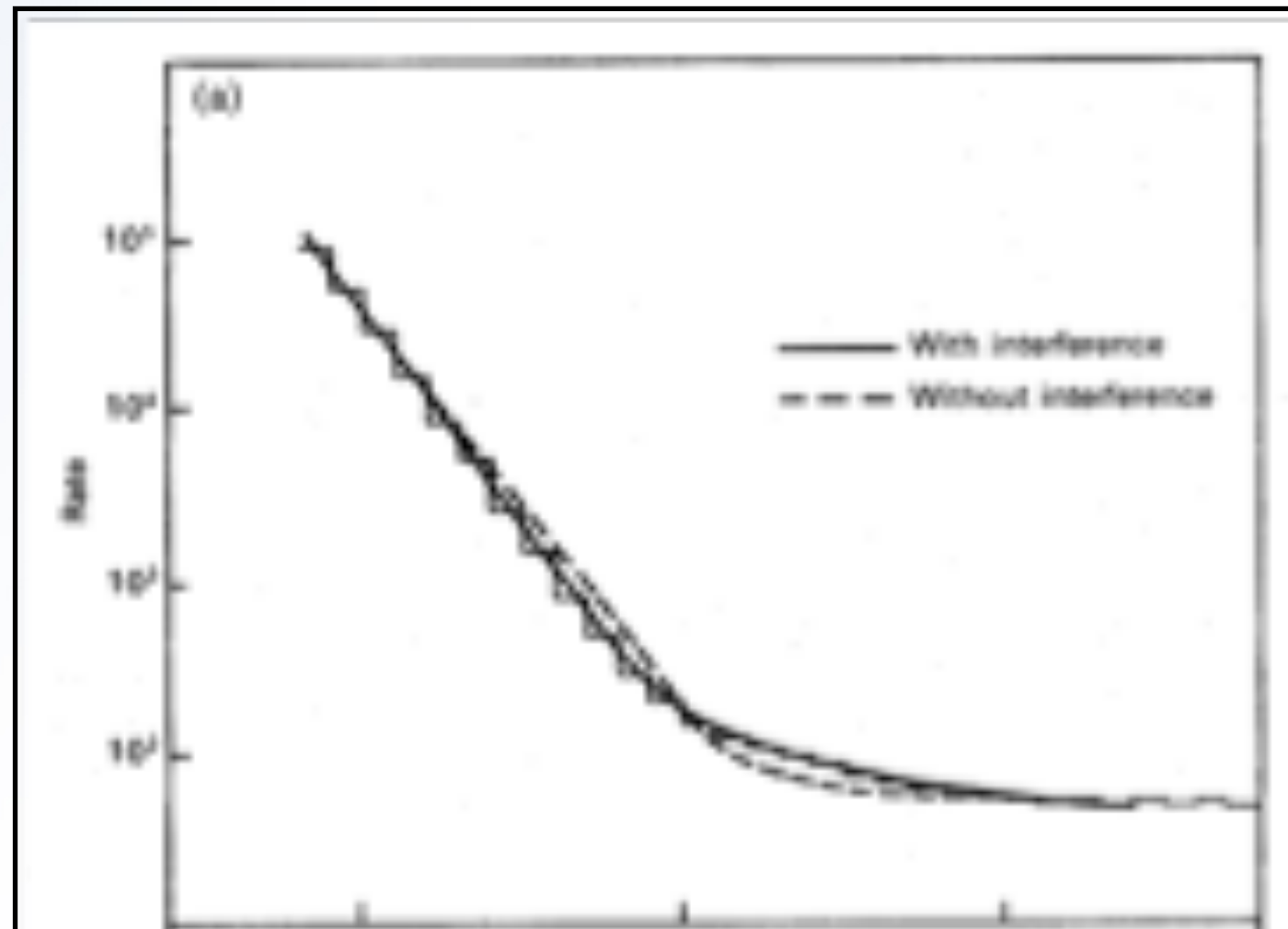
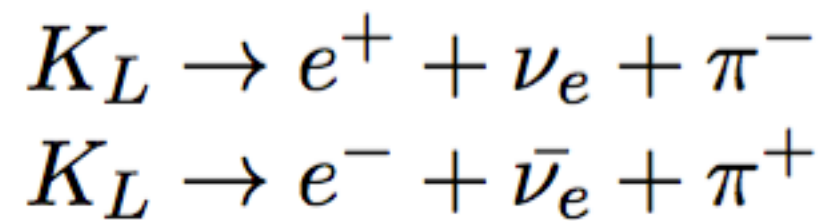
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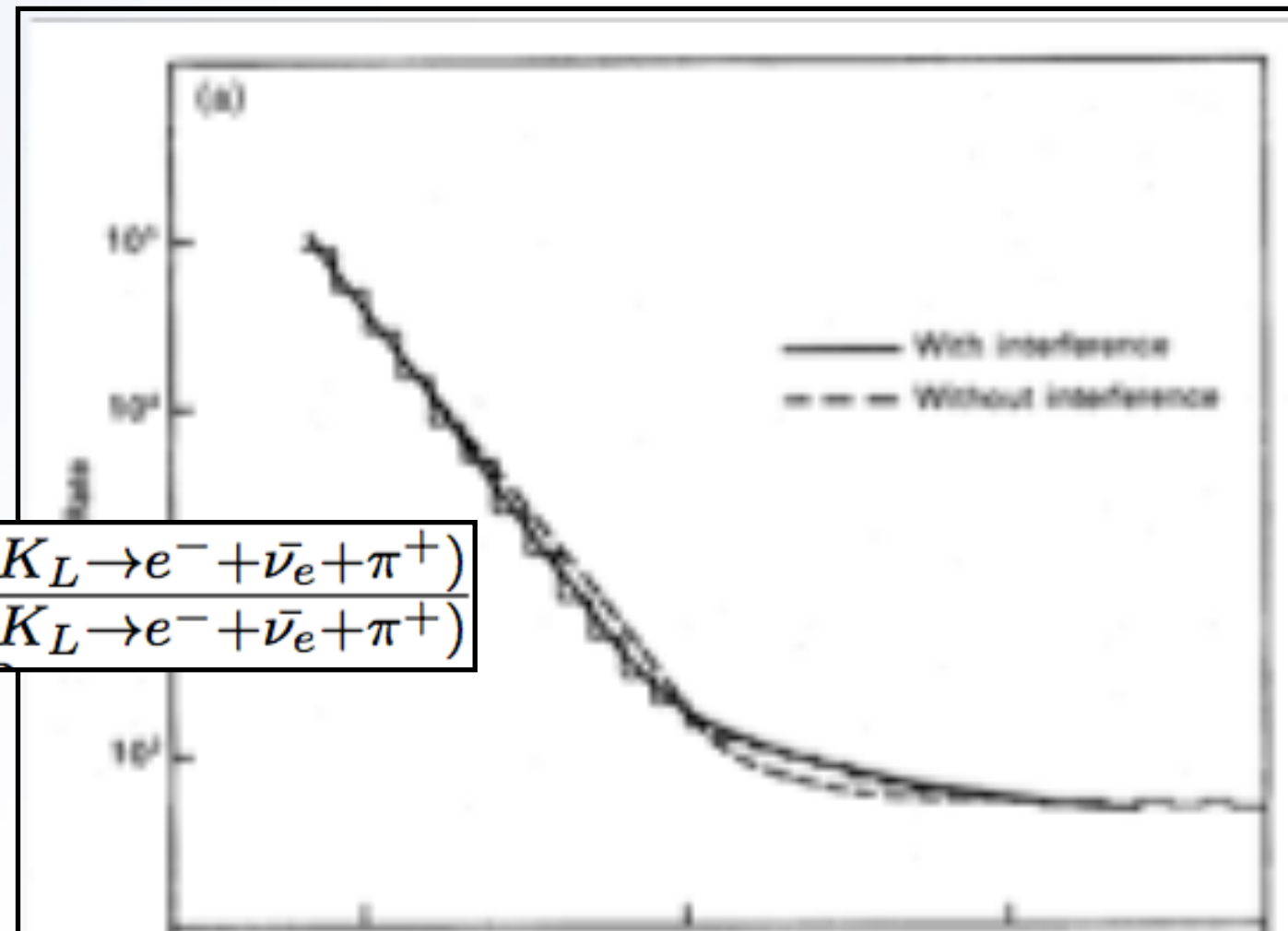
Interferences

Leptonic mode :

$$K_L \rightarrow e^+ + \nu_e + \pi^-$$

$$K_L \rightarrow e^- + \bar{\nu}_e + \pi^+$$

$$\Delta = \frac{\text{rate}(K_L \rightarrow e^+ + \nu_e + \pi^-) - \text{rate}(K_L \rightarrow e^- + \bar{\nu}_e + \pi^+)}{\text{rate}(K_L \rightarrow e^+ + \nu_e + \pi^-) + \text{rate}(K_L \rightarrow e^- + \bar{\nu}_e + \pi^+)}$$



Discrete Symmetries

Measured quantity :

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Interferences

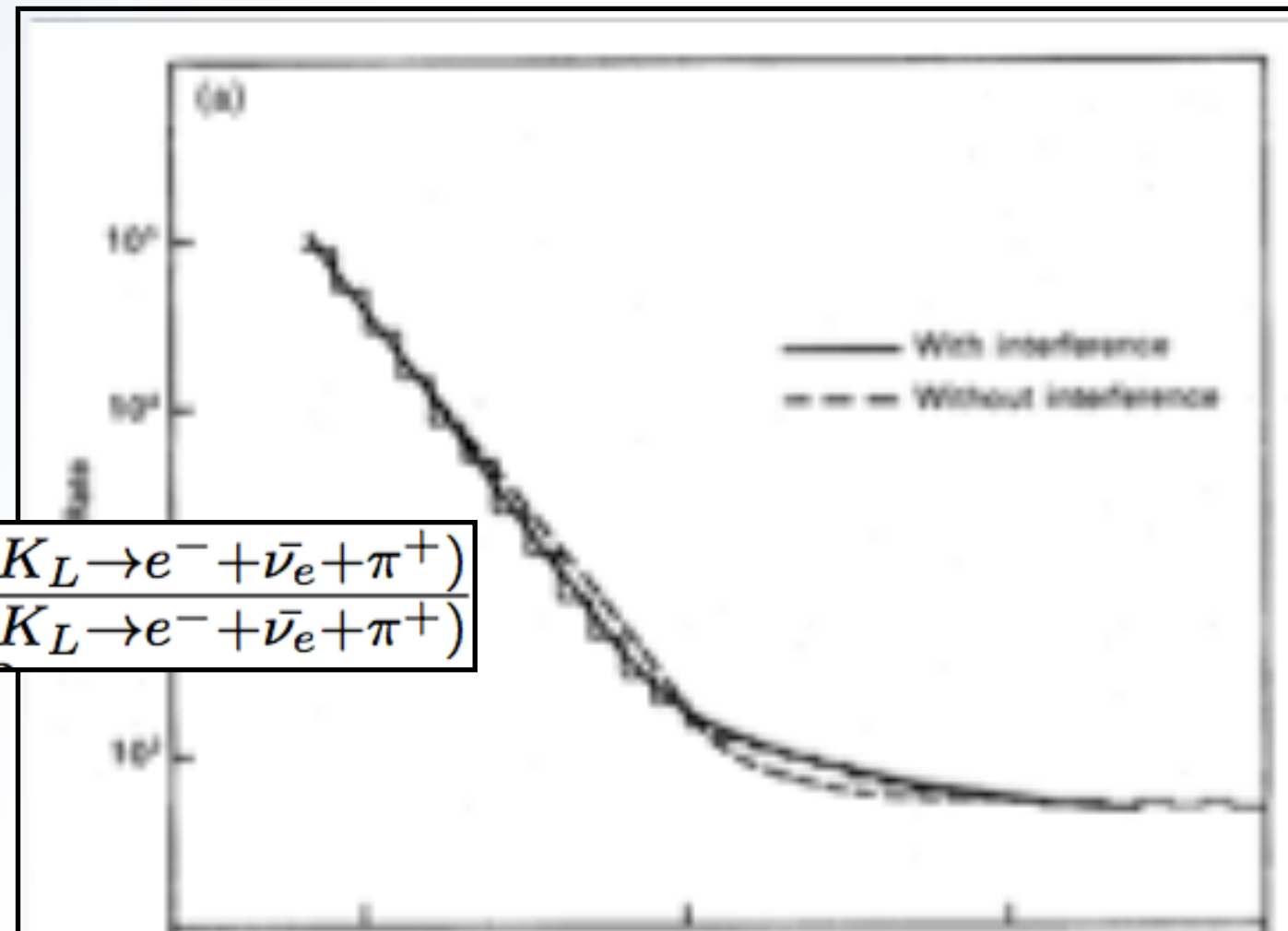
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Discrimination criteria between matter and antimatter :



Discrete Symmetries

Measured quantity :

$$|\eta_{+-}| = \frac{\text{amplitude}(K_L \rightarrow \pi^+ \pi^-)}{\text{amplitude}(K_S \rightarrow \pi^+ \pi^-)} \sim 2.3 \times 10^{-3}$$

Interferences

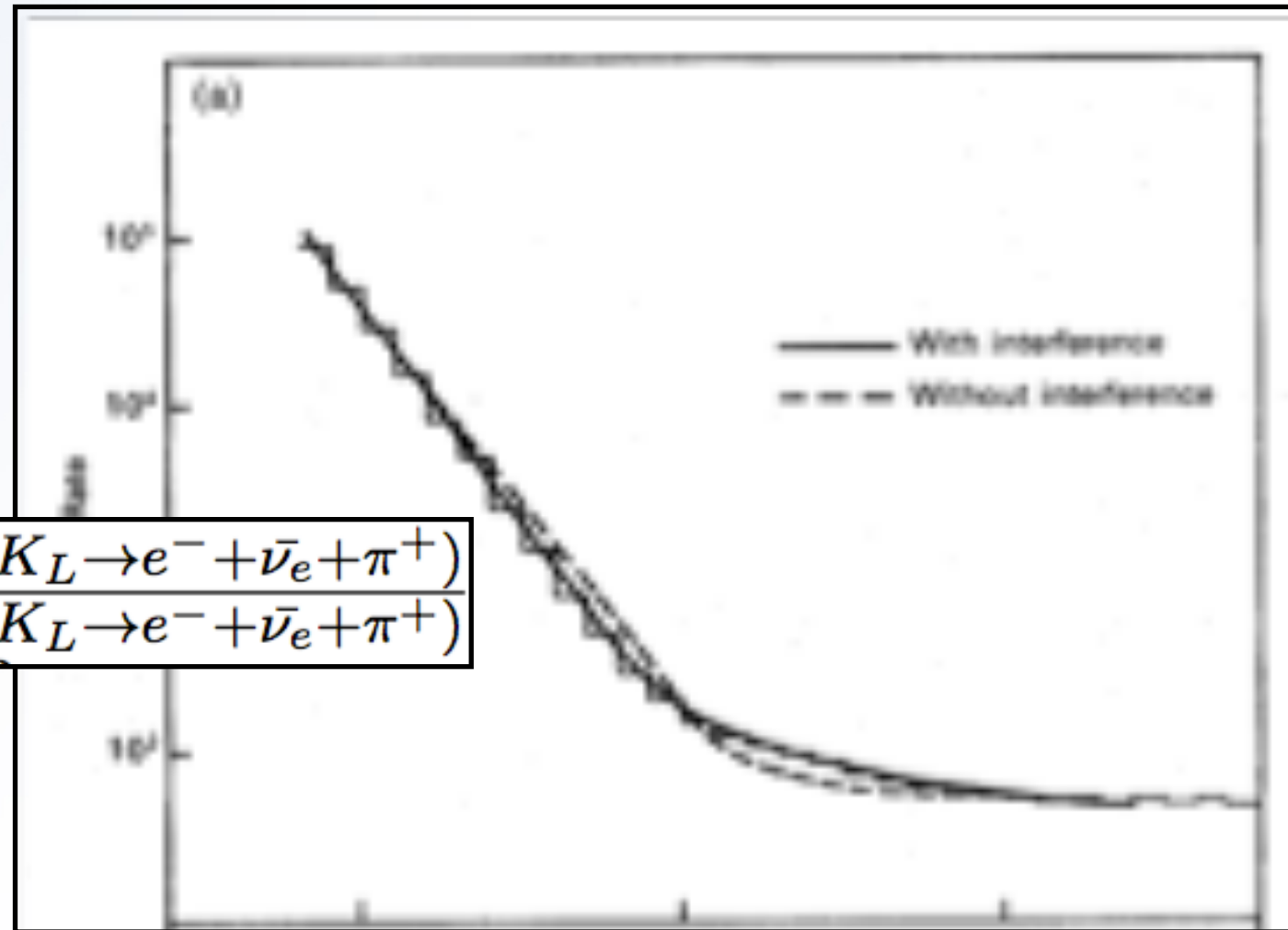
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Discrimination criteria between
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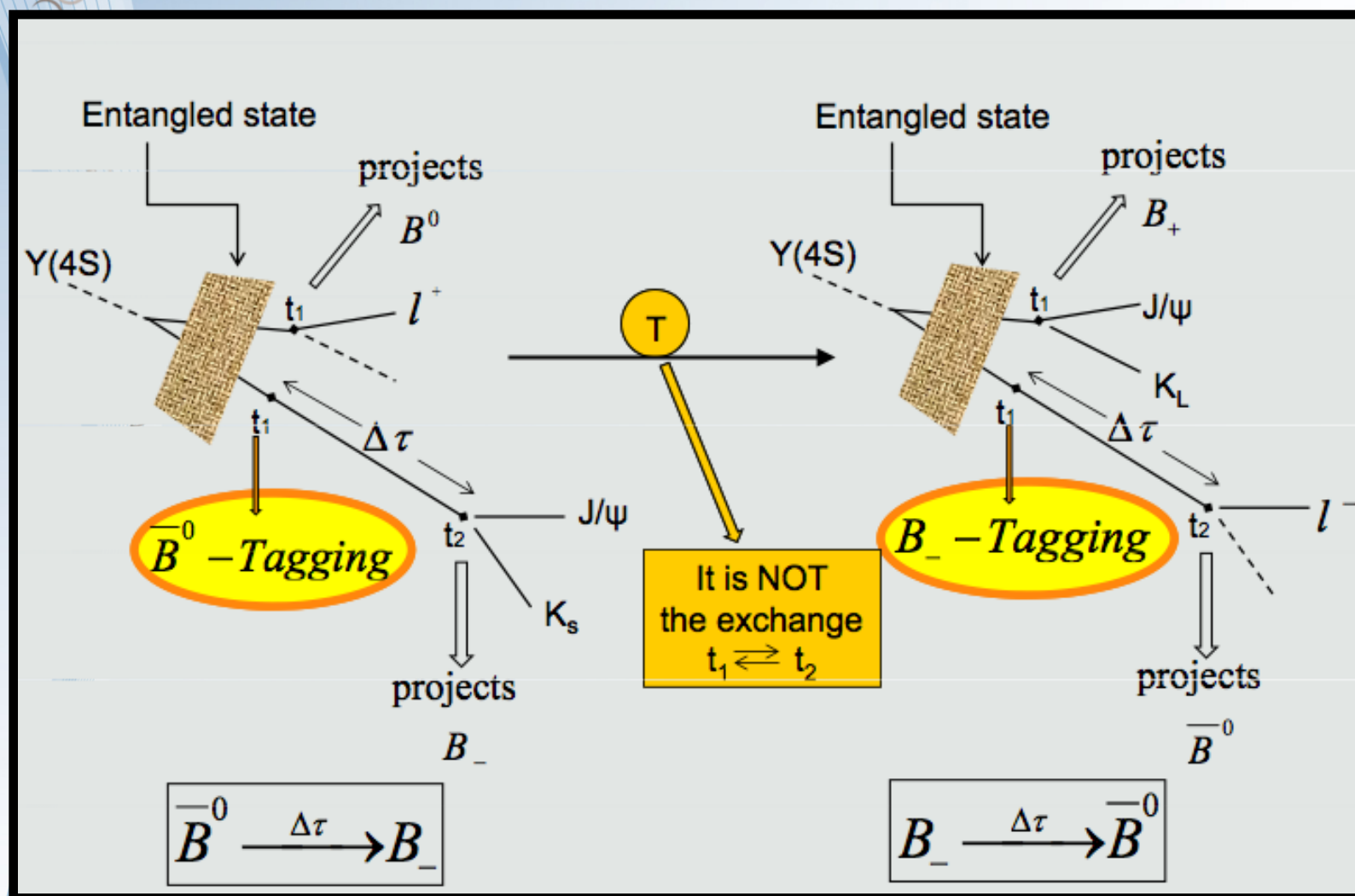
$$\Delta \sim 0.3 \times 10^{-2}$$



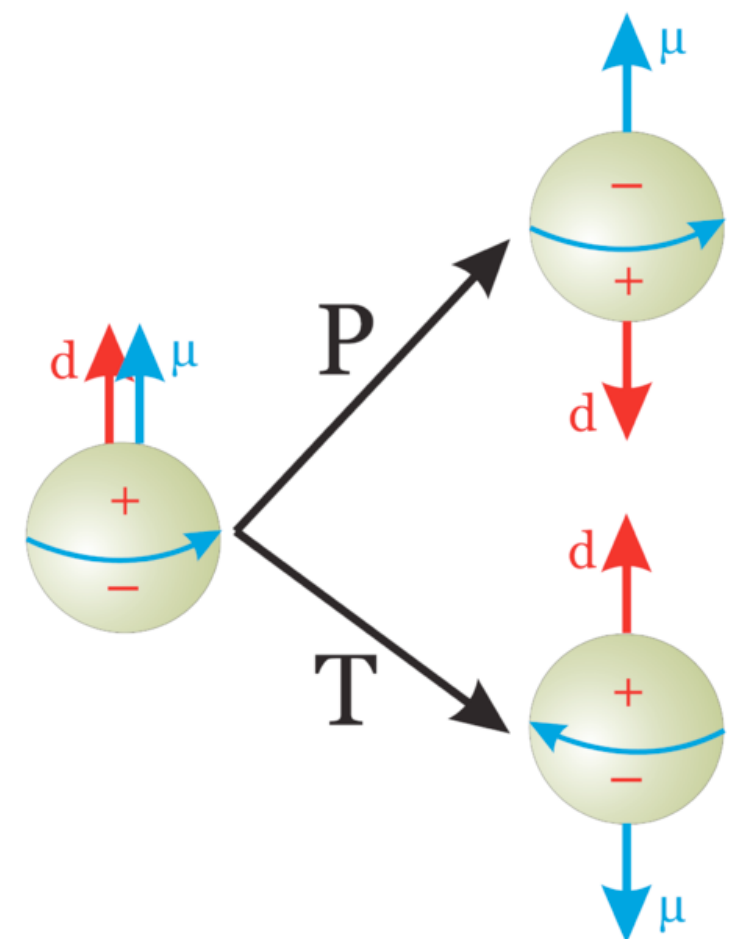
Discrete Symmetries

T : Time Reversal

$$t = -t$$



EDM :



Discrete Symmetries

Summary:

	Interactions		
	Strong	EM	Weak
P	yes	yes	no
C	yes	yes	no
CP (or T)	yes	yes	$\sim 10^{-3}$ 1964 : K0 decay 2001: B decay (BELLE, BaBar) 2012: Direct T Violation
CPT			

Discrete Symmetries

Summary:

	Interactions		
	Strong	EM	Weak
P	yes	yes	no
C	yes	yes	no
CP (or T)	yes	yes	$\sim 10^{-3}$ 1964 : K0 decay 2001: B decay (BELLE, BaBar) 2012: Direct T Violation
CPT	yes	yes	yes

Discrete Symmetries

Observation of C, P, T, CP violation, what about CPT?

In the SM, CPT is conserved. So, if T is violated, CP is violated & vice-versa

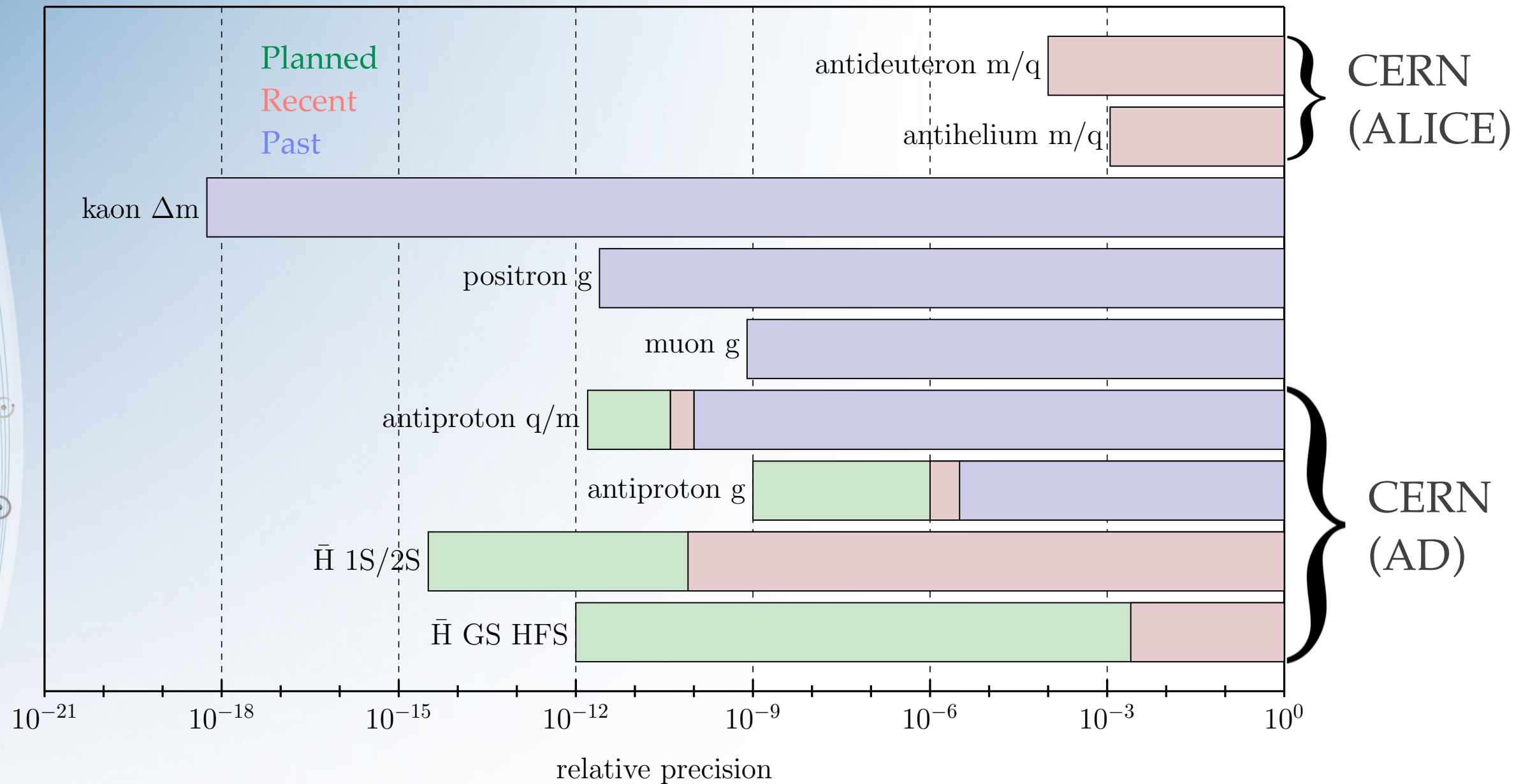
CPT Theorem :

A local, Lorentz invariant theory with canonical spin-statistics relation must be invariant with respect to CPT-transformation

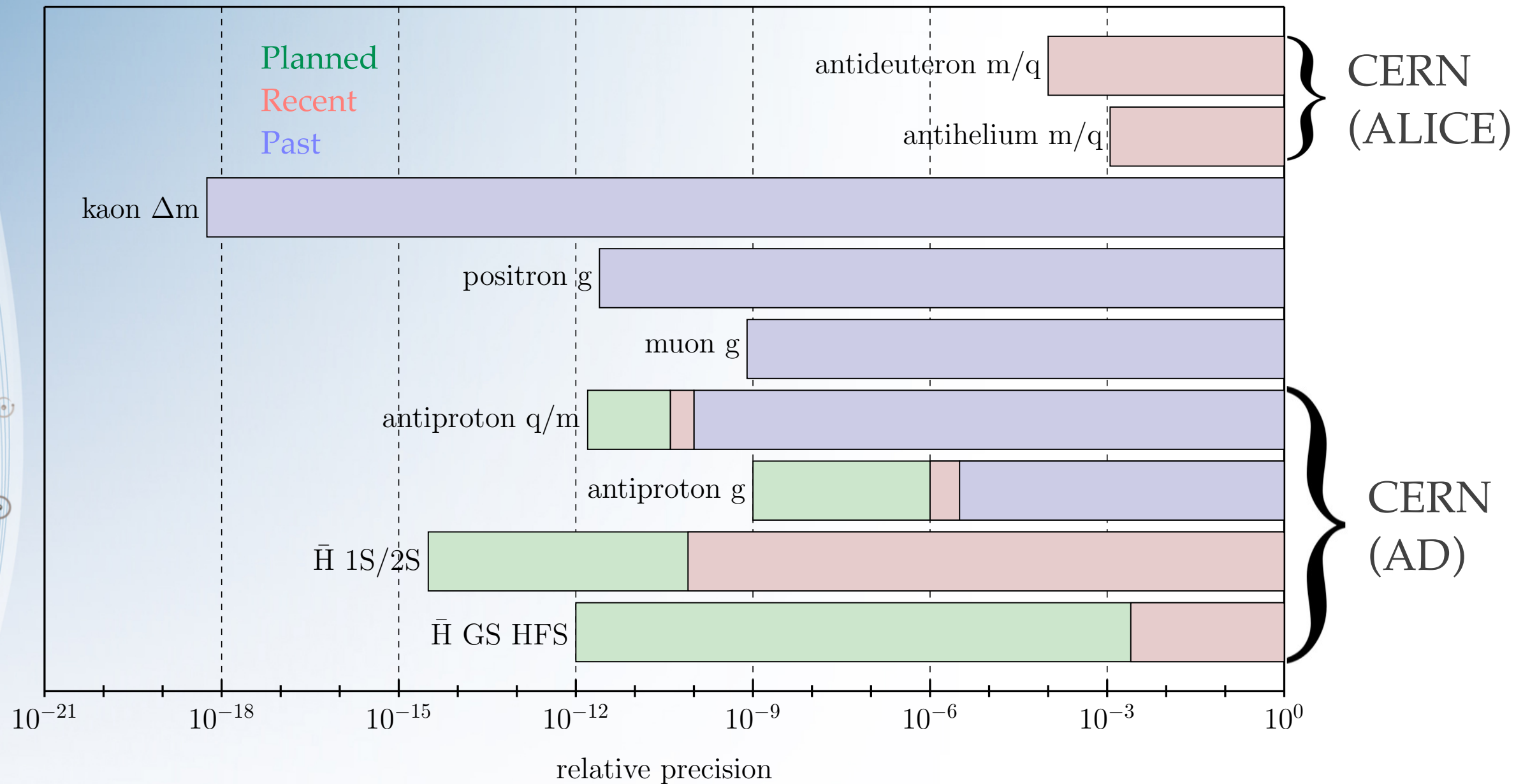
J. Schwinger, Phys. Rev.82, 914 (1951);
G. Lüders, Kgl. Danske Vidensk. Selskab. Mat.-Fys. Medd.28, 5 (1954);
G. Lüders, Ann. Phys.2, 1 (1957);
W. Pauli, Nuovo Cimento,6, 204 (1957);
R. Jost, Helv. Phys. Acta30, 409 (1957);
F.J. Dyson, Phys. Rev.110, 579 (1958).

Implication : properties of matter & antimatter particles should be the same

Tests of CPT Symmetry



Tests of CPT Symmetry



Standard Model

Extension

$$(i\gamma^\mu D_\mu - m_e - a_\mu^e \gamma^\mu - b_\mu^e \gamma_5 \gamma^\mu$$

$$- \frac{1}{2} H_{\mu\nu}^e \sigma^{\mu\nu} + ic_{\mu\nu}^e \gamma^\mu D^\nu + id_{\mu\nu}^e \gamma_5 \gamma^\mu D^\nu) \psi = 0$$

Search for Primordial Antimatter

IS THERE ANTIMATTER LEFT IN THE UNIVERSE?

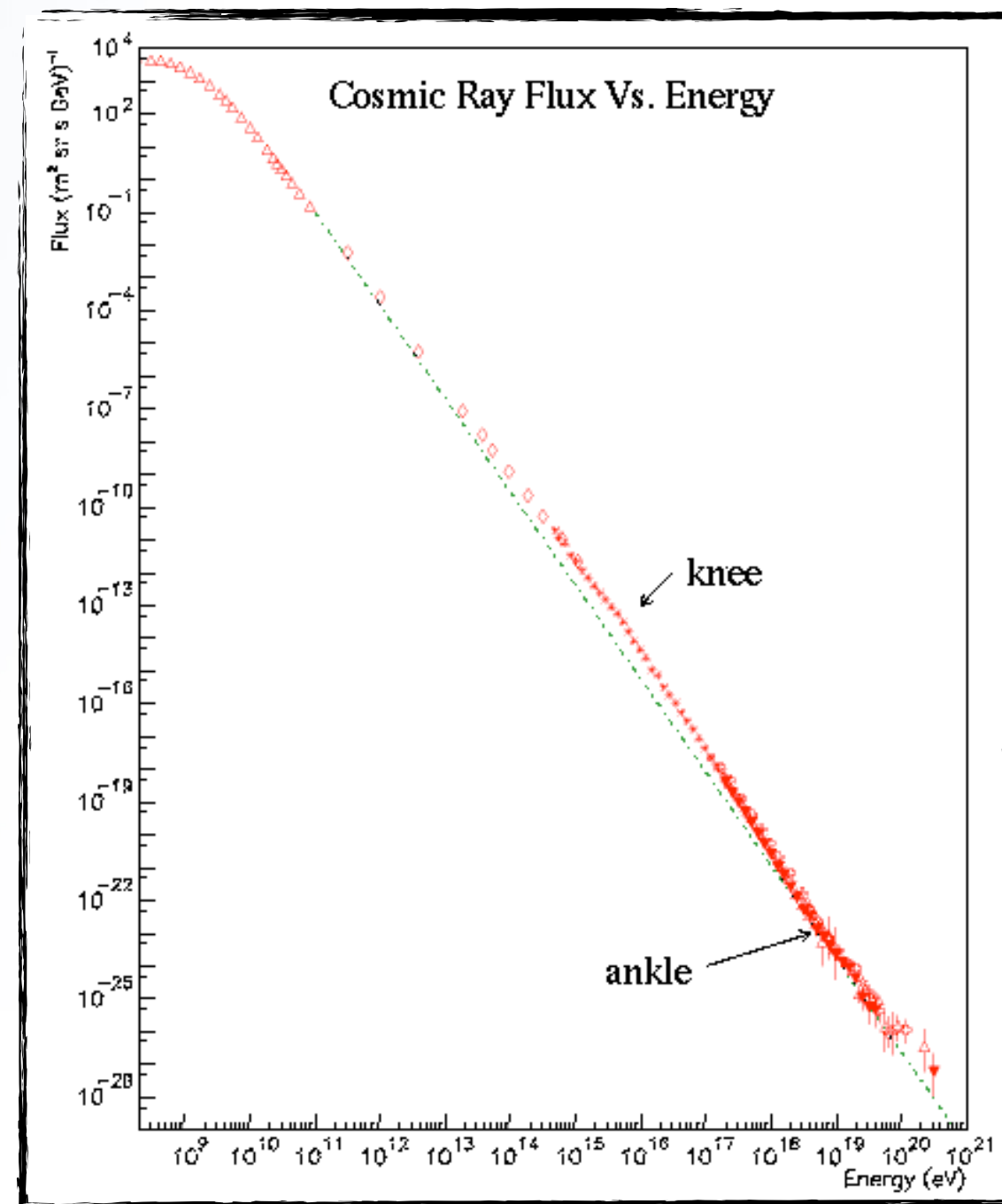


Search for Primordial Antimatter

- DIRECT SEARCHES IN COSMIC RAYS

Creation of Secondaries in IGM : Test source and propagation models for cosmic rays

A large part of positrons and antiprotons impinging on Earth are produced in high-energy interactions between cosmic rays nuclei with the interstellar medium. Their spectra can provide an insight on the origin, production and propagation of cosmic rays in our galaxy. Any observed flux larger than that predicted by the Leaky Box Model (LBM), the “standard” model of cosmic ray propagation, could indicate exotic sources of antimatter. The predictions of the propagation models are different above 10 GeV where more refined measurements are needed.



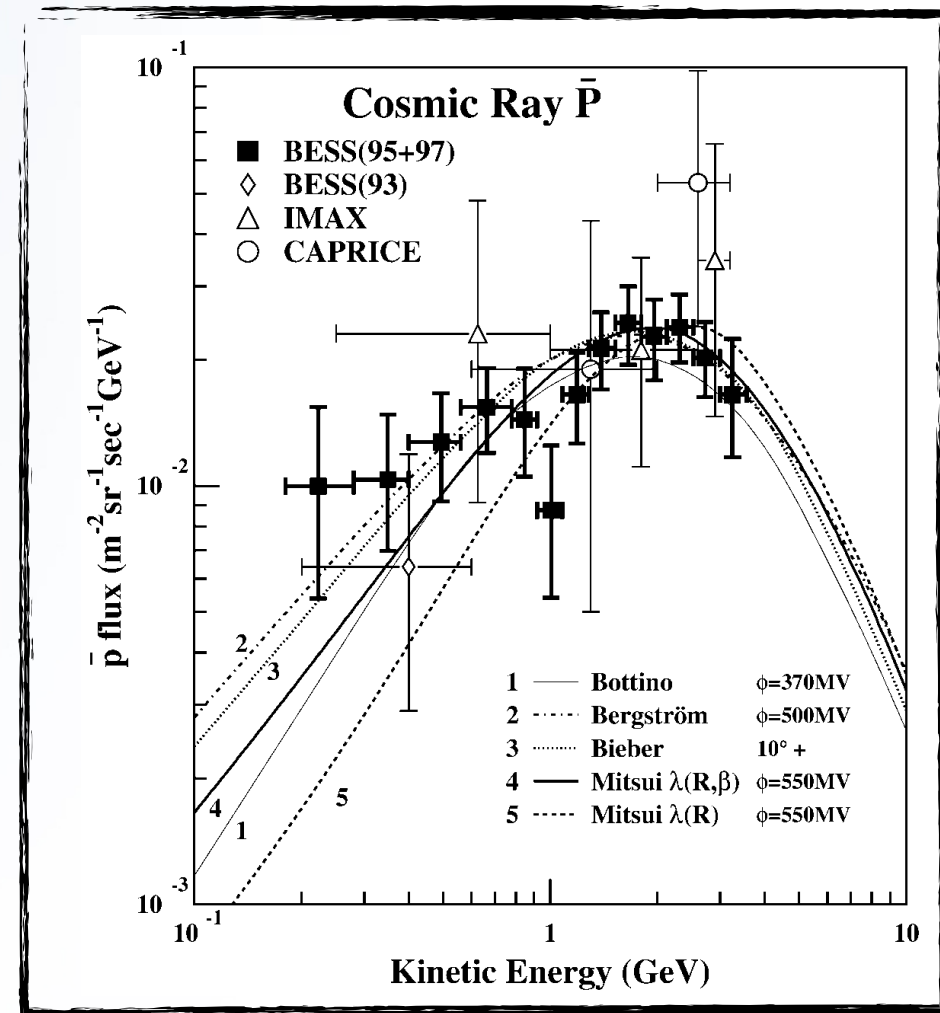
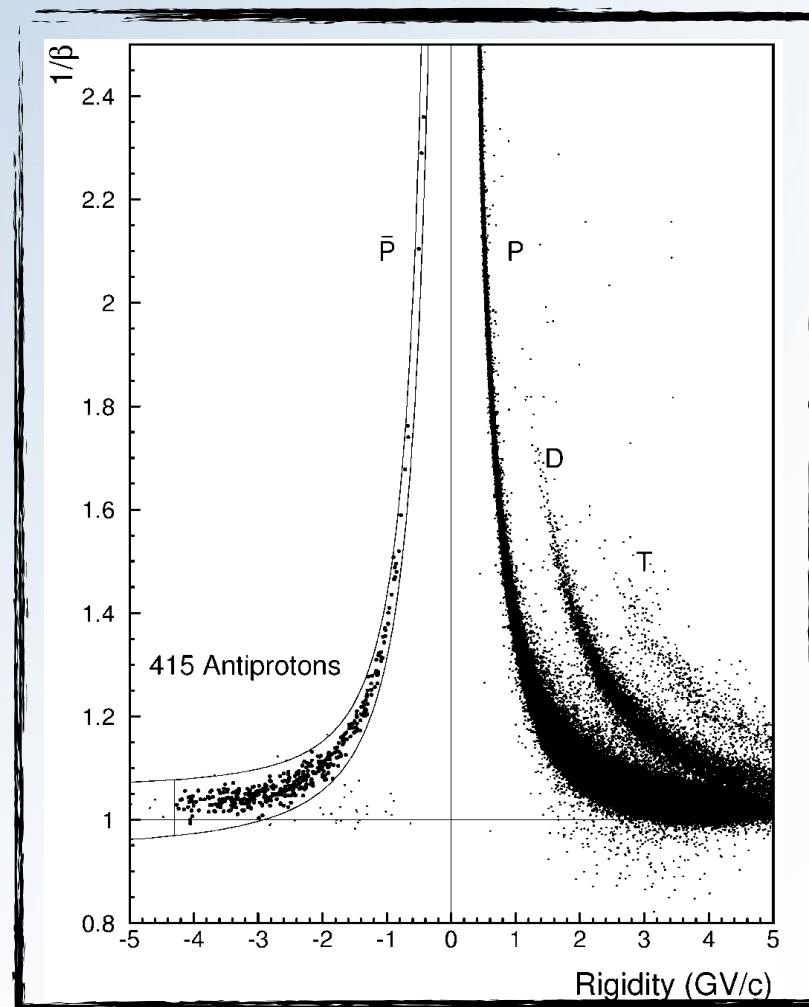
Balloon experiments



Balloon experiments

Results from CAPRICE / BESS

height of flight = 38 km (top of atmosphere)



PRL 84 (2000) 1078

http://prl.aps.org/pdf/PRL/v84/i6/p1078_1

subsidiary result (data+propagation model) = $\tau(\bar{p}) > 1.7 \text{ Myr}$

<http://arxiv.org/abs/astro-ph/9809101>

Space experiments

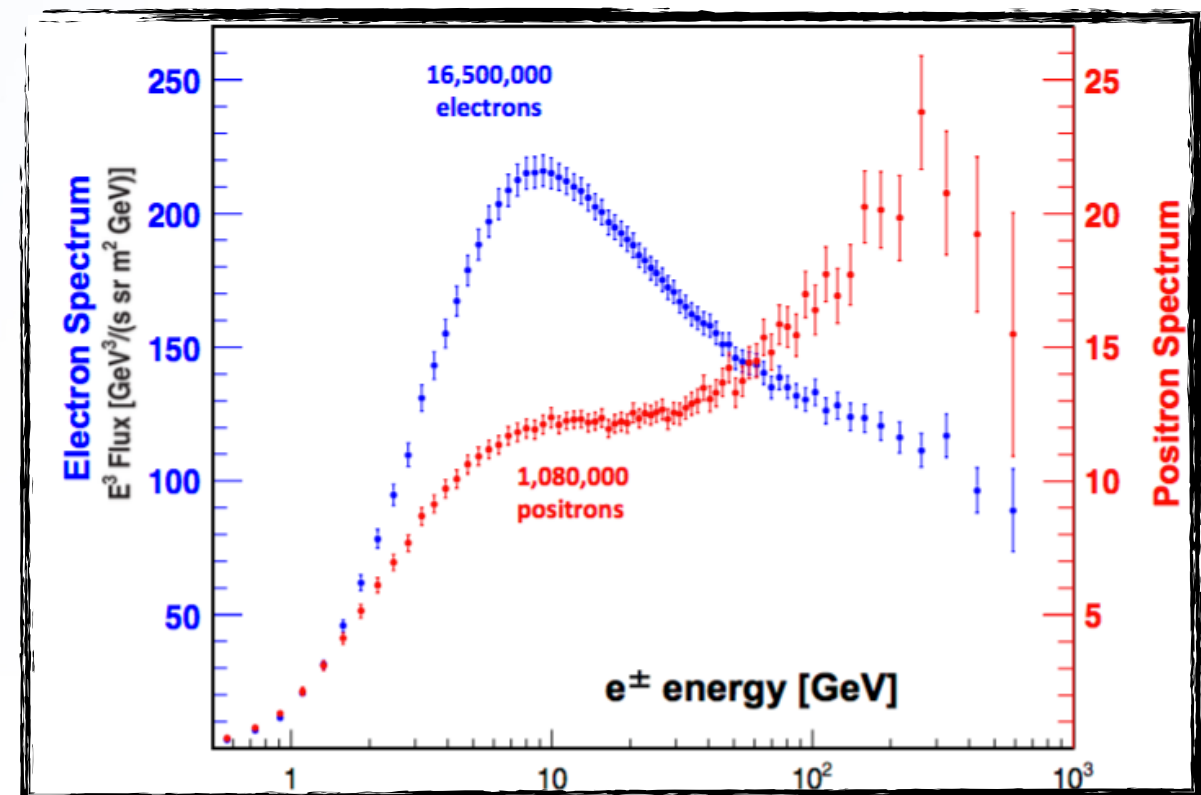
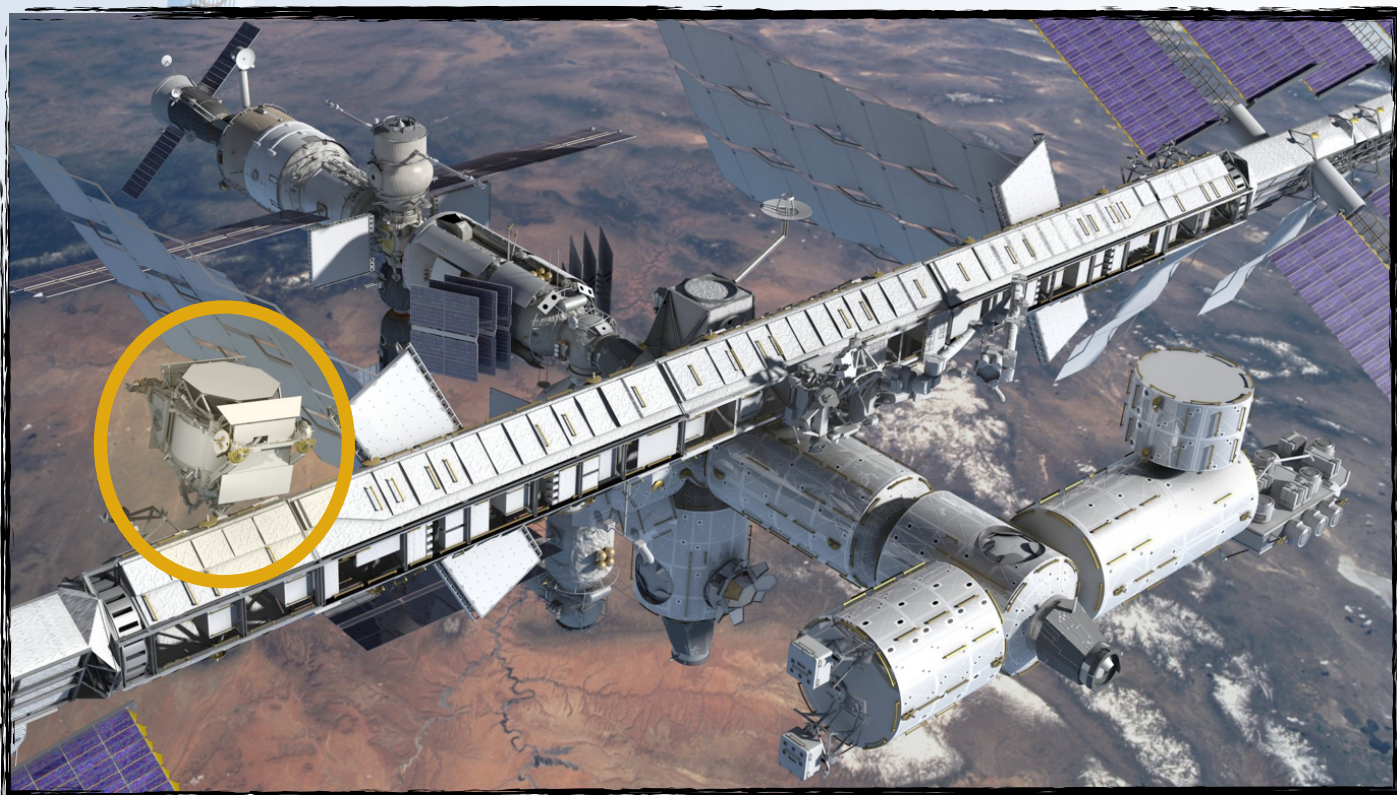
PAMELA (satellite), AMS (space station)

- SEARCH FOR PRIMARY ANTIMATTER

e^+ , \bar{p} , anti-alpha

Note : positrons are difficult to measure/interpret:

- radiative losses close to sources
- possibility of primary positron cosmic rays



Space experiments

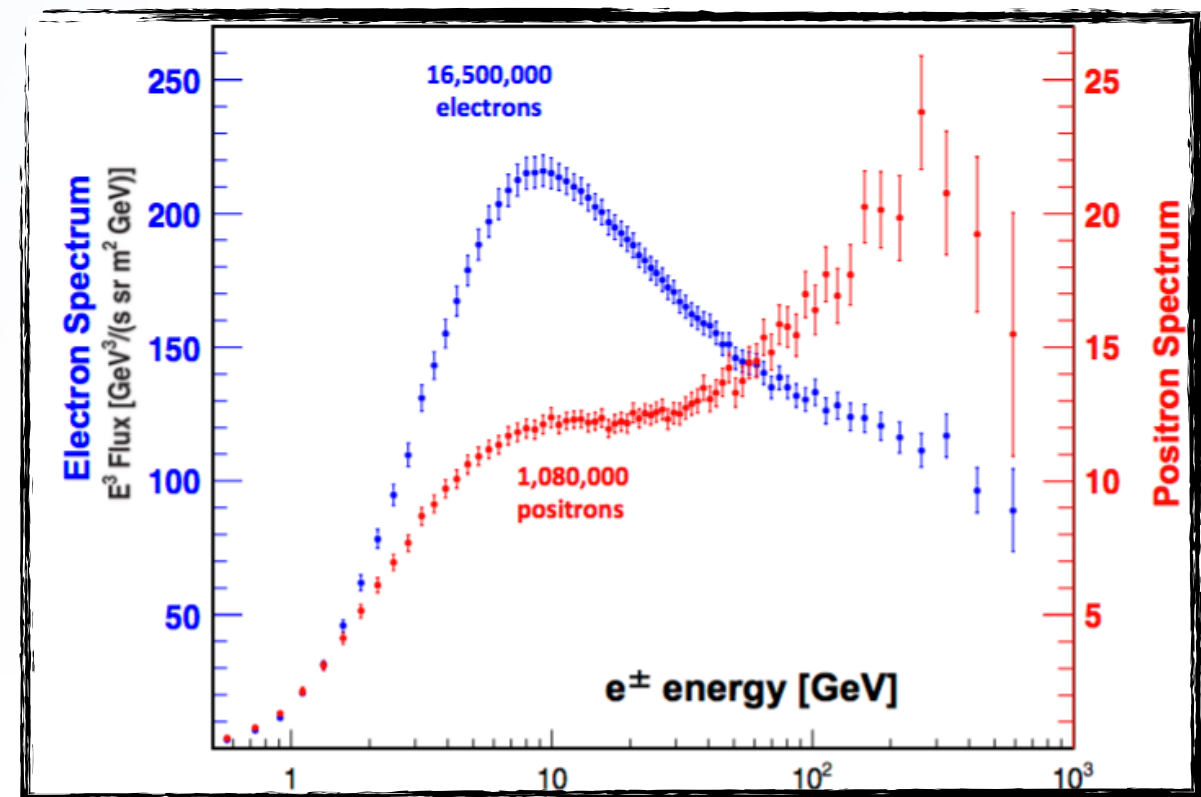
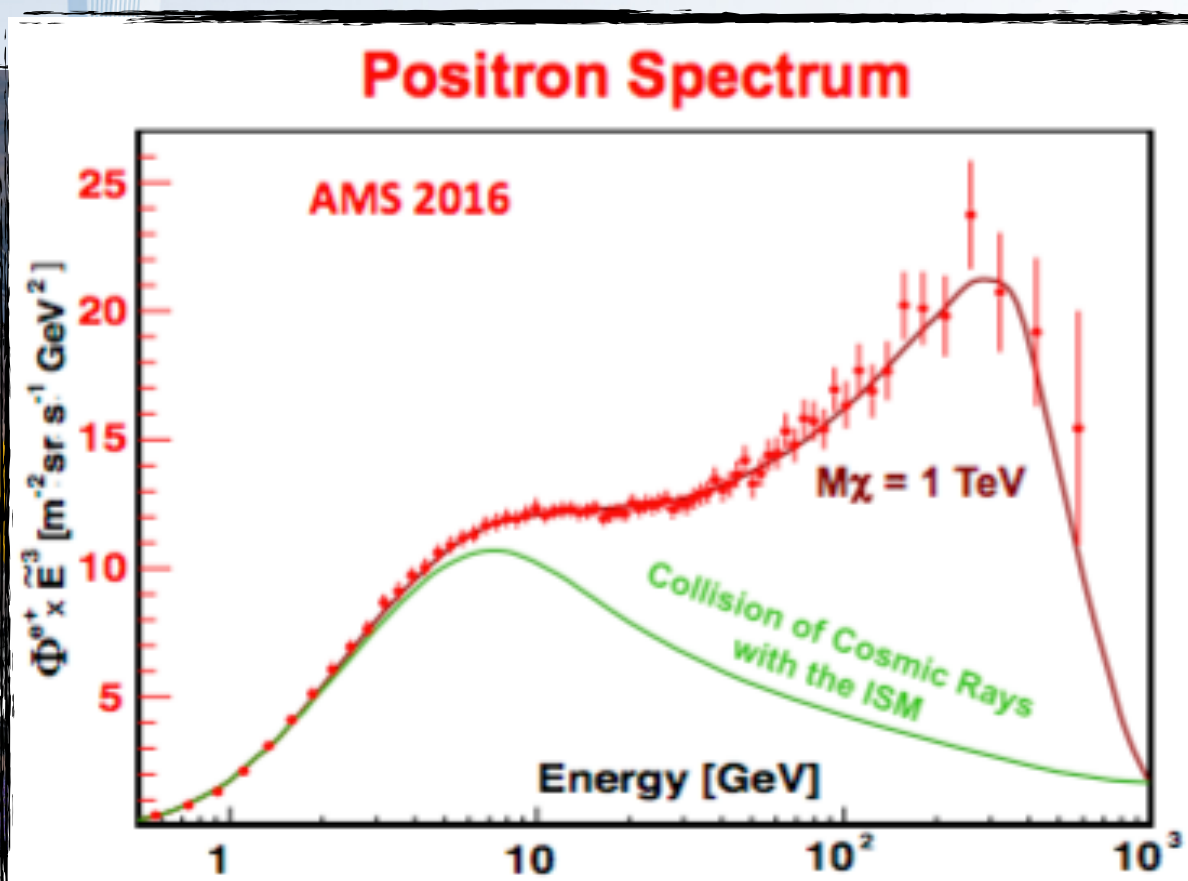
PAMELA (satellite), AMS (space station)

- SEARCH FOR PRIMARY ANTIMATTER

e^+ , \bar{p} , anti-alpha

Note : positrons are difficult to measure/interpret:

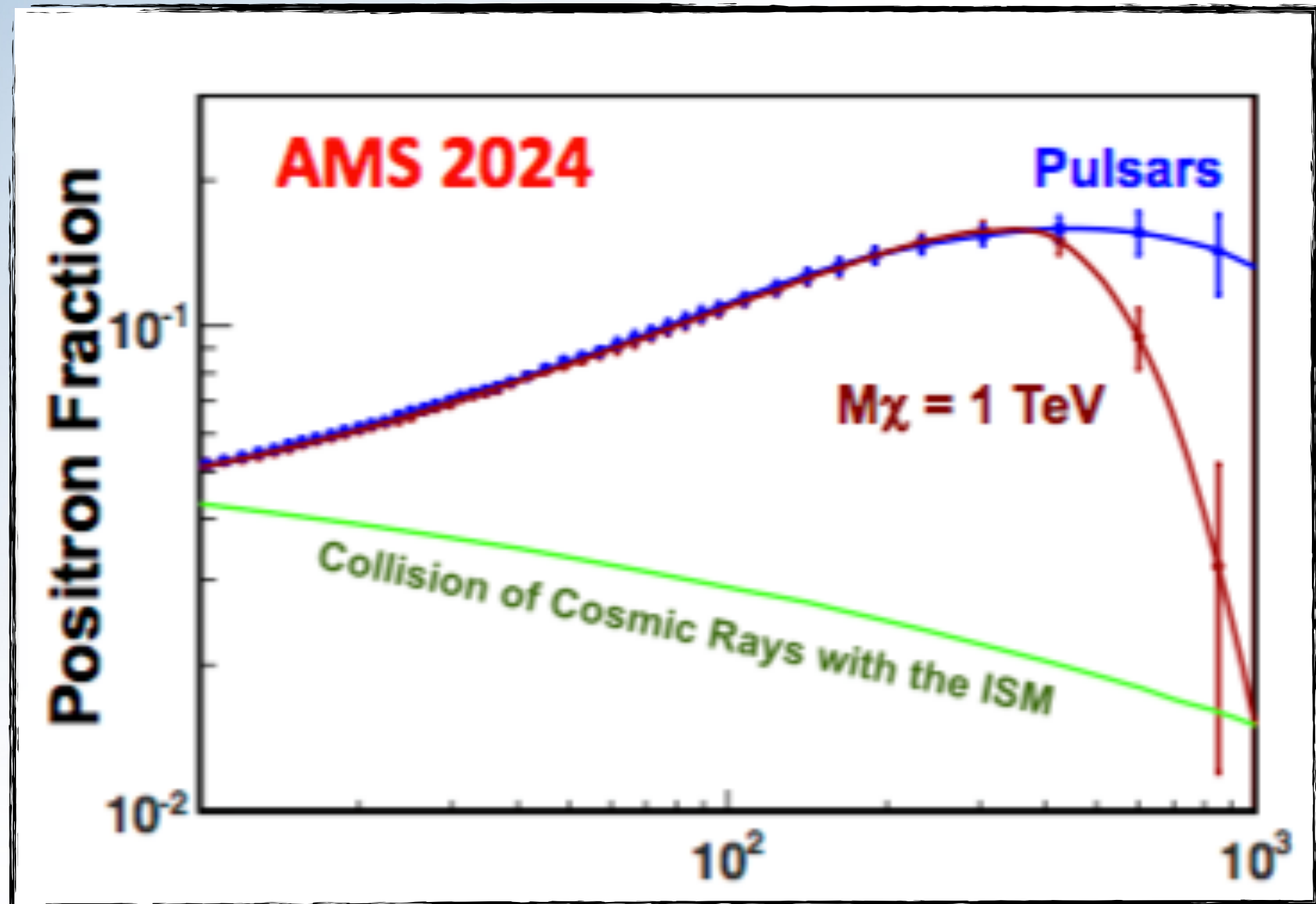
- radiative losses close to sources
- possibility of primary positron cosmic rays



Space experiments

Other sources :

- Modified Propagation of Cosmic Rays, Supernova Remnants, Pulsars



Similar findings with antiprotons -> STAY TUNED!

Cosmological Models

Distortions in the CMB:

- CMB would have been affected by late annihilations (if antimatter would have survived longer than expected) & photons from the annihilation would contribute to the diffuse gamma rays

If we accept the view of complete symmetry between positive and negative electric charge so far as concerns the fundamental laws of Nature, we must regard it rather as an accident that the Earth (and presumably the whole solar system), contains a preponderance of negative electrons and positive protons. It is quite possible that for some of the stars it is the other way about, these stars being built up mainly of positrons and negative protons. In fact, there may be half the stars of each kind. The two kinds of stars would both show exactly the same spectra, and there would be no way of distinguishing them by present astronomical methods.

Dirac Nobel lecture 1933

- $B=0$ universe is mostly excluded by standard cosmology scenarios based on CMB observation (annihilation at boundaries, at least for domains which are smaller than the size of the visible universe)

Cosmological Models

Big Bang Nucleosynthesis

Existence of antimatter during nucleosynthesis would have affected the formation of nuclei (annihilation, formation of $p\bar{p}$ etc., annihilation gamma rays would photodesintegrate etc)

Estimate the baryon density from SBBN and CMB

Photons are final products of annihilation processes

$$\eta = \left(\frac{N_B}{N_\gamma}\right)_{T=3\text{ K}} \quad \eta = \left(\frac{N_B - N_{\bar{B}}}{N_\gamma}\right)_{T=3\text{ K}}$$

$$\eta_{SBBN} = (5.80 \pm 0.27) \times 10^{-10}$$
$$\eta_{CMB} = 6.160^{+0.153}_{-0.156} \times 10^{-10}$$

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INITIAL POSTULATION OF ANTIMATTER THROUGH THE DIRAC EQUATION

EXPERIMENTAL CONFIRMATION IN COSMIC RAYS

PUZZLE OF MATTER -ANTIMATTER ASYMMETRY IN THE UNIVERSE

TRIGGERS PRECISE COMPARISON OF MATTER & ANTIMATTER PROPERTIES

THROUGH TEST OF DISCRETE SYMMETRIES IN THE LAB

AND SEARCH OF PRIMORDIAL ANTIMATTER IN OUTER SPACE

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NEXT LECTURE : ANTIMATTER AS TOOLS FOR DISCOVERY (IN COLLIDERS & IN LOW ENERGY EXPERIMENTS). TECHNICAL DEVELOPMENTS ALLOWING SM ESTABLISHMENT AND BSM STUDIES