

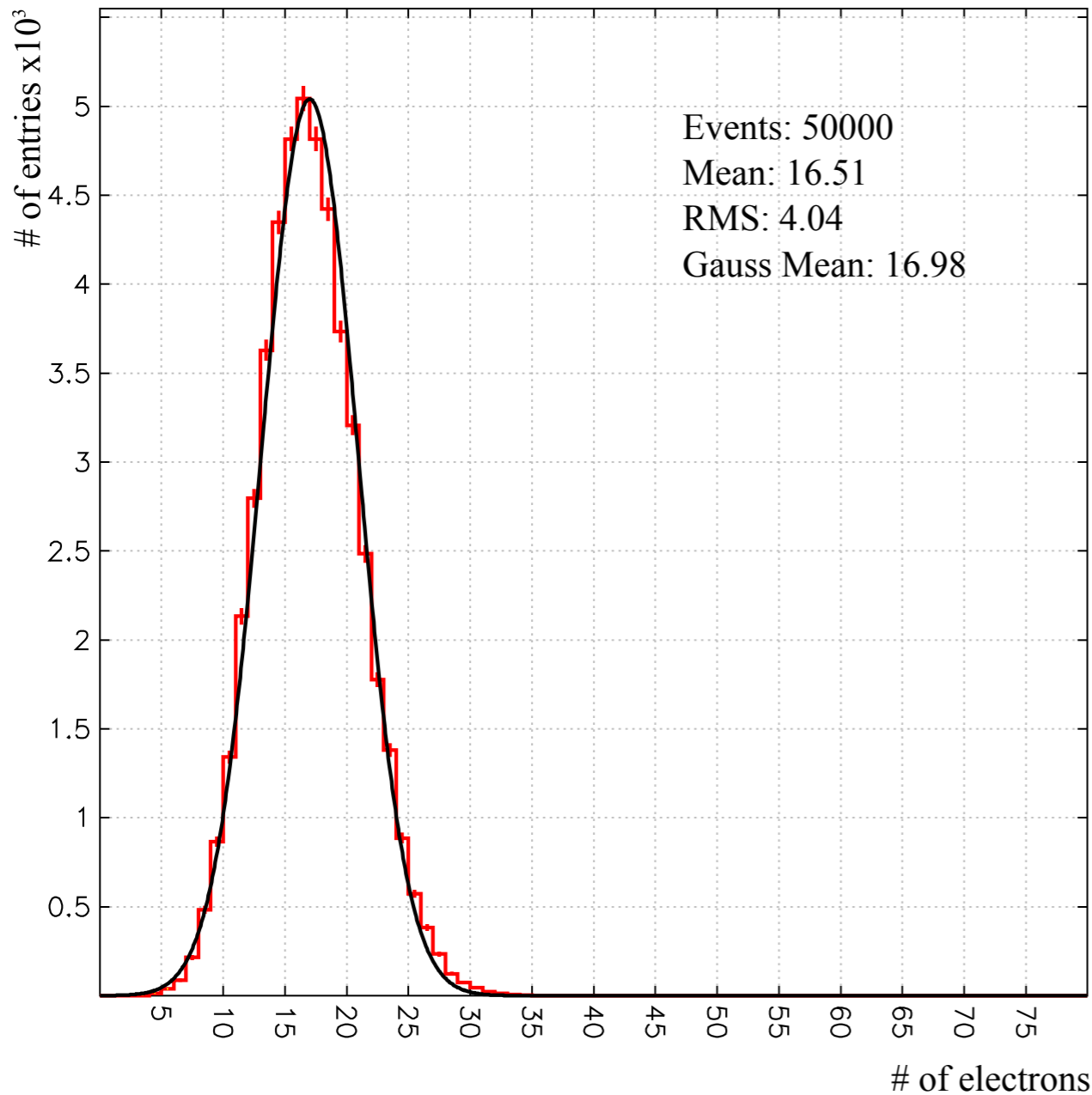
# Signal on Micromegas

George Iakovidis

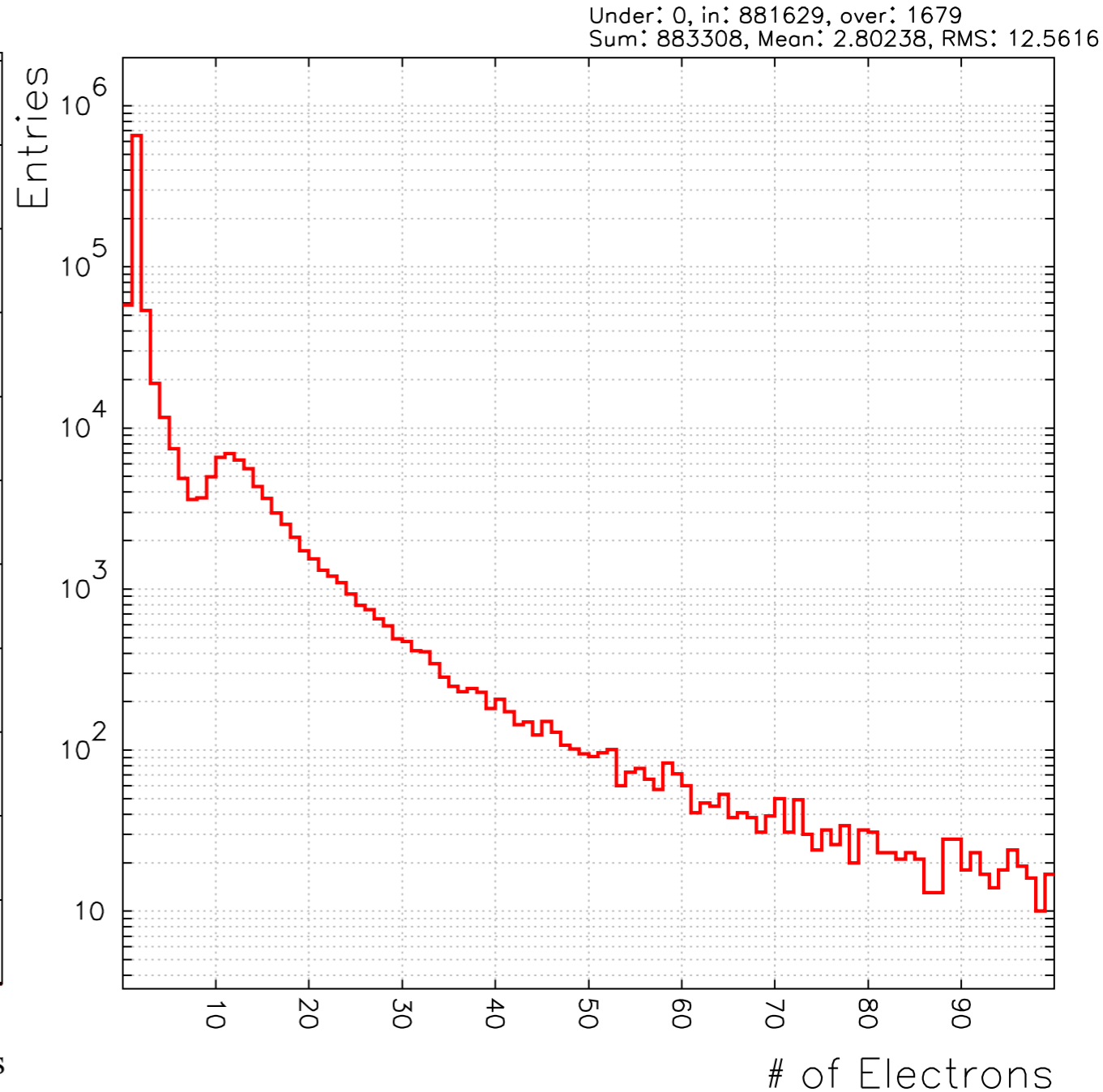
Venetios Polychronakos, Theo Alexopoulos



- Mean values sometimes maybe misleading. I run a Monte Carlo (which is in ATHENA digitisation) based on microscopic simulation from Garfield
- left: number of primary ionisation per 5mm track, right: number of electrons per ionisation



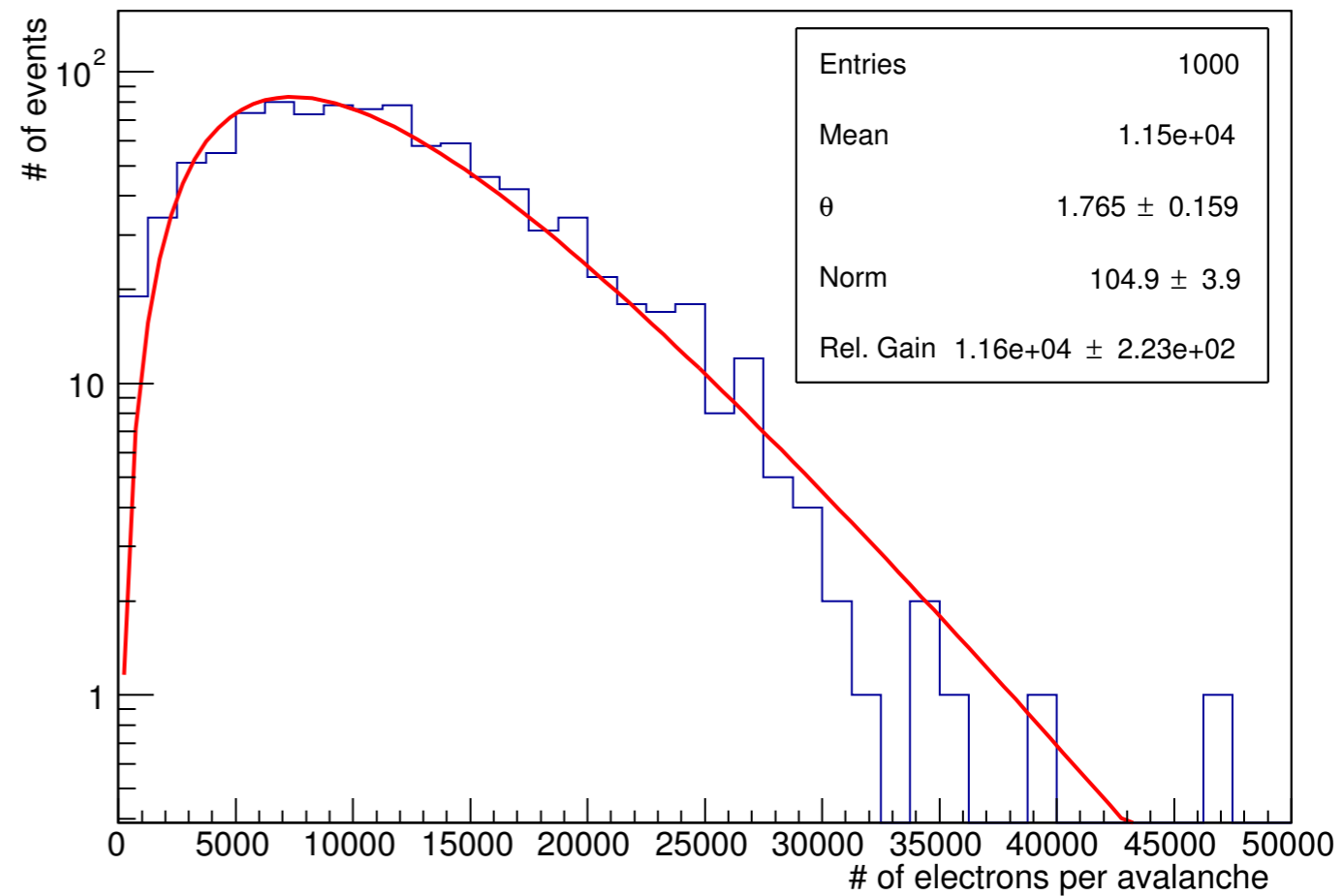
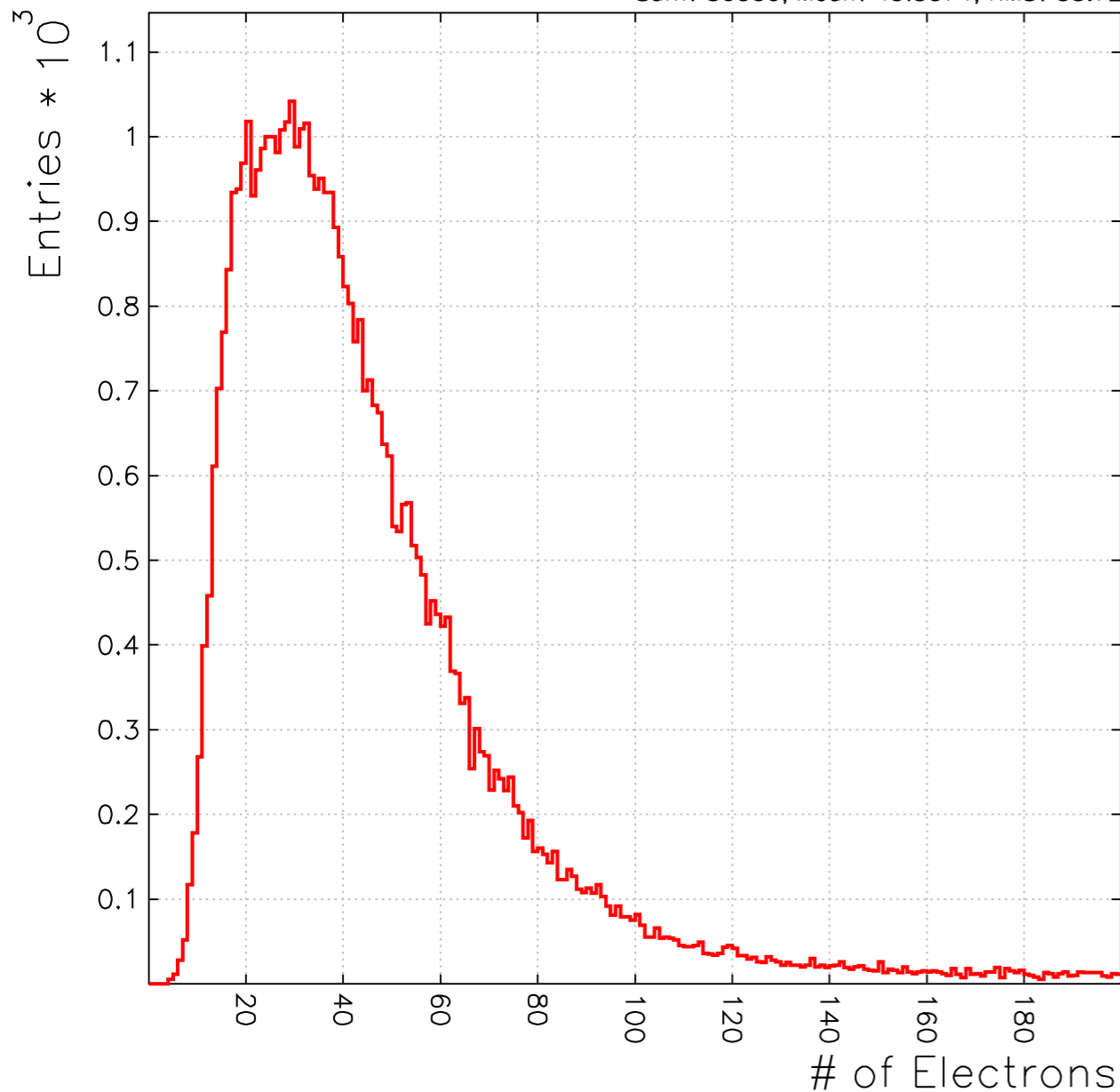
Number of Electrons Per Cluster distribution



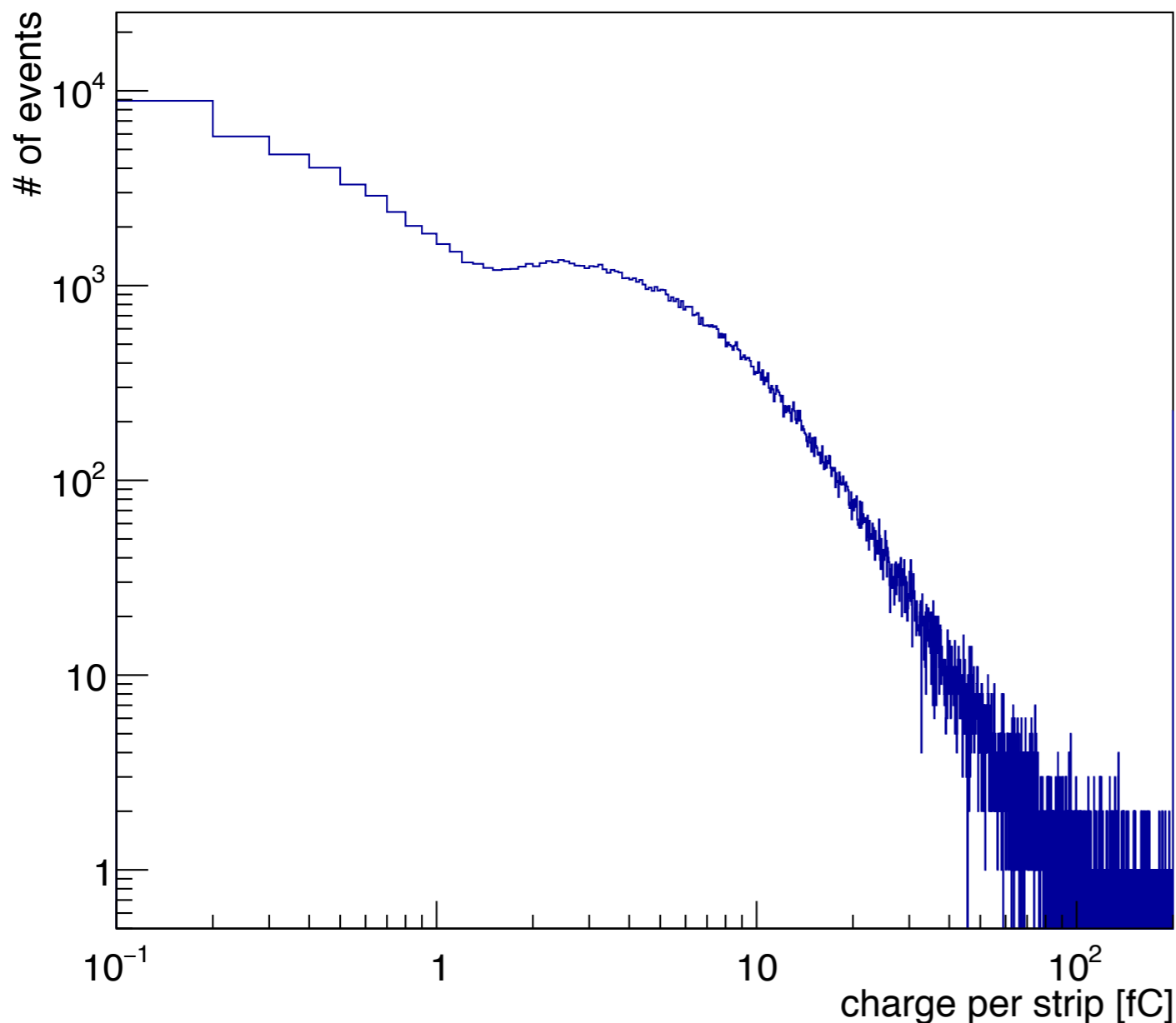
- This creates a total of electrons arriving to the strips (at this moment the transparency is put at 98%).
- There are though gain fluctuations that is described with a Polya distribution. The gain was found at the level of  $1.15 \times 10^4$

Total Number of Electrons distribution  
Per Track

Under: 0, in: 49052, over: 948  
Sum: 50000, Mean: 49.5074, RMS: 53.7257



- Now if you assume a worst case for NSW of tracks under  $30^\circ$  on which the charge spreads over a number of strips (mean value at  $\sim 6$  strips) then I can study the charge profile of a strip for several cases.
- Below is a charge profile for a strip independent of its position in a cluster for 150 thousand events



- In case of noise of  $3000 e^-$  then for an integration time of 50ns it's around to 1fC on the distribution. The hits lost are 32.65%
- In case of  $6000 e^-$  noise which is around 2fC then the lost hits are 40.8%
- In case the noise is what it should be (max of  $4k e^-$ ) then the loss is of the order of 25%.
- A good point is to run the detectors with higher gain like  $2 \times 10^4$ .
- Small chambers with an ENC of  $300 e^-$  then the loss  $< 5\%$
- Then if you take into account the combinatorics with a mean value of 6 strips per event.