

Determination of the p⁺-spray doping profile using MOSFETs

E. Fretwurst, E. Garutti, R. Klanner, I.Kopsalis, J. Schwandt, M. Weberpals
University of Hamburg

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3. MOSFET $I_{ds}(V_{gate}, V_{back})$ results: threshold voltage + mobility
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Motivation

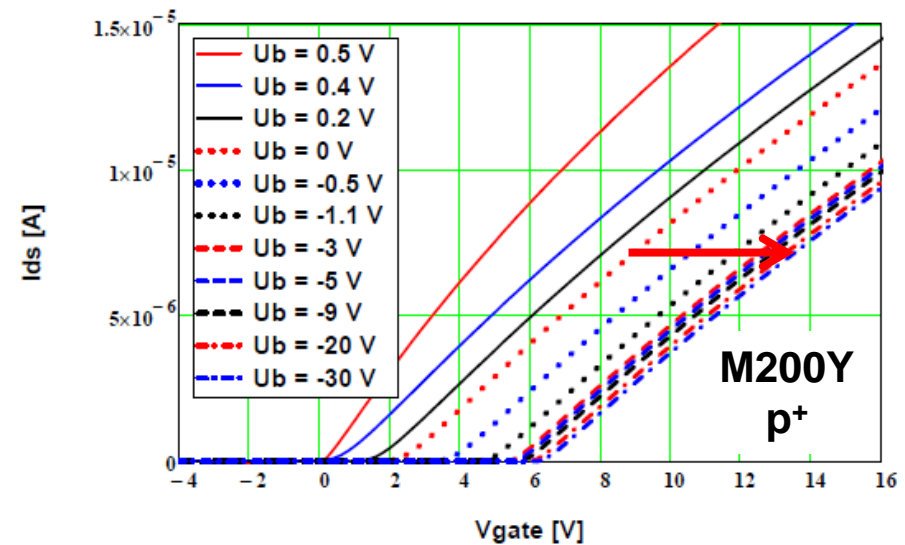
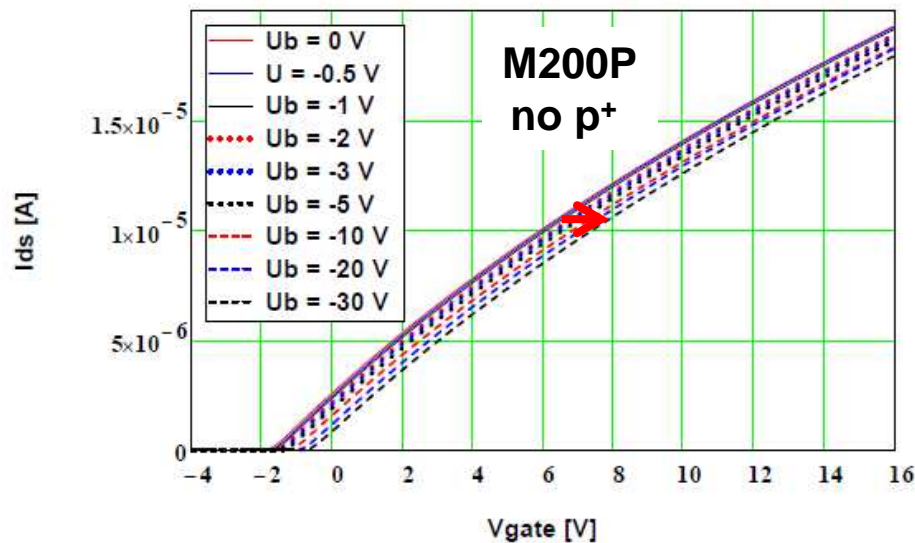
- In n⁺p and n⁺n sensors positive oxide charges (N_{ox}) result in an electron accumulation layer → readout electrodes not isolated
- Surface radiation damage increases N_{ox} → p⁺ implants to isolate n⁺ implants
- Knowledge of p⁺-doping profile required to understand field close to interface + breakdown behaviour and pixel isolation after radiation damage
- Manufacturers (usually) do not communicate technology of p⁺ implants (we typically only have the GDS files for the masks)
- Back-engineering required to have this information
- Reliable methods desirable to determine p⁺-doping profiles
- For detailed simulation several additional parameters are required: N_{ox} , interface trap densities (D_{it}), mobility μ at Si-SiO₂ interface, surface resistivity of oxide

**A reliable non-destructive method for p⁺ doping determination is wanted
+
methods to determine the additional parameters for simulations**

Examples for measured $I_{ds}(V_{gate})$ curves

Measurements for $V_{gate} = 0 \dots 16$ V

- $V_b = 0 \dots -30$ V for no p-spray
- $V_b = 0.5 \dots -30$ V for p-spray (wider range + finer V_b bins)



$V_{gate} = 0$ V \longrightarrow $V_{gate} = 16$ V

Comparison with/without p⁺ implant:

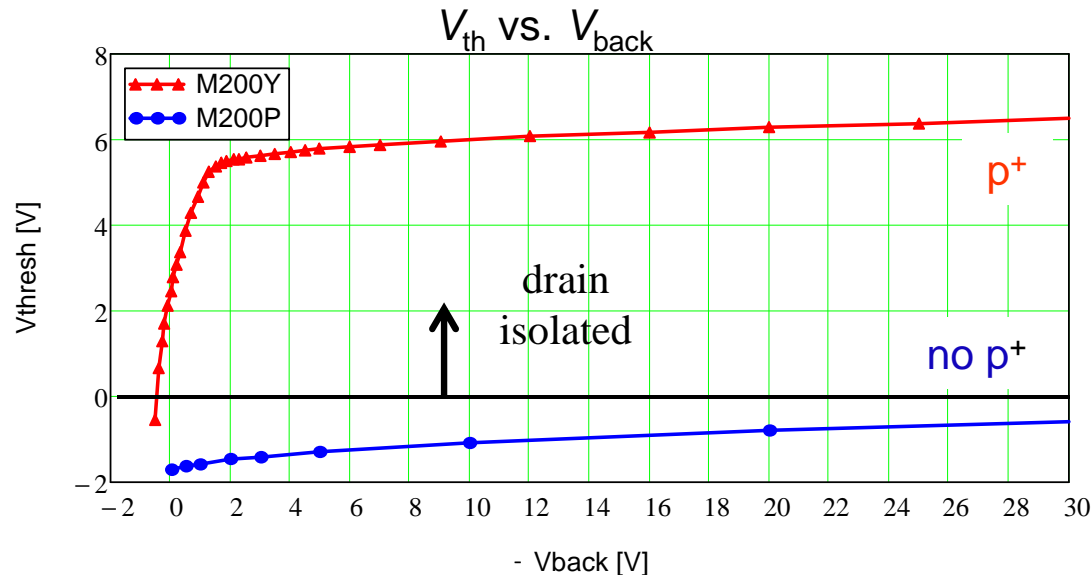
- I_{ds} similar shape (except $V_{back} = +0.5$ V), but shift in V_{gate}
- Change of I_{ds} with V_{gate} much bigger for MOSFET with p⁺ implant!

$I_{ds}(V_{gate})$ fits versus V_{back}

Using the Brews Charge-sheet model: $I_{ds} = \frac{W}{L} \cdot \mu \cdot C_{ox} \cdot \{V_{gate} - V_T(V_{back})\} \cdot V_{ds}$

Electron mobility at interface: $\mu(V_{gate} - V_T) = \mu_0 / (1 + \frac{V_{gate} - V_T}{V_{1/2}})$

Circ. MOSFET width/length: $\frac{W}{L} = 2\pi / \ln(r_2/r_1) = 4.964$ and $C_{ox} = \epsilon_{ox} / t_{ox} = 4.933 \text{ nF/cm}^2$

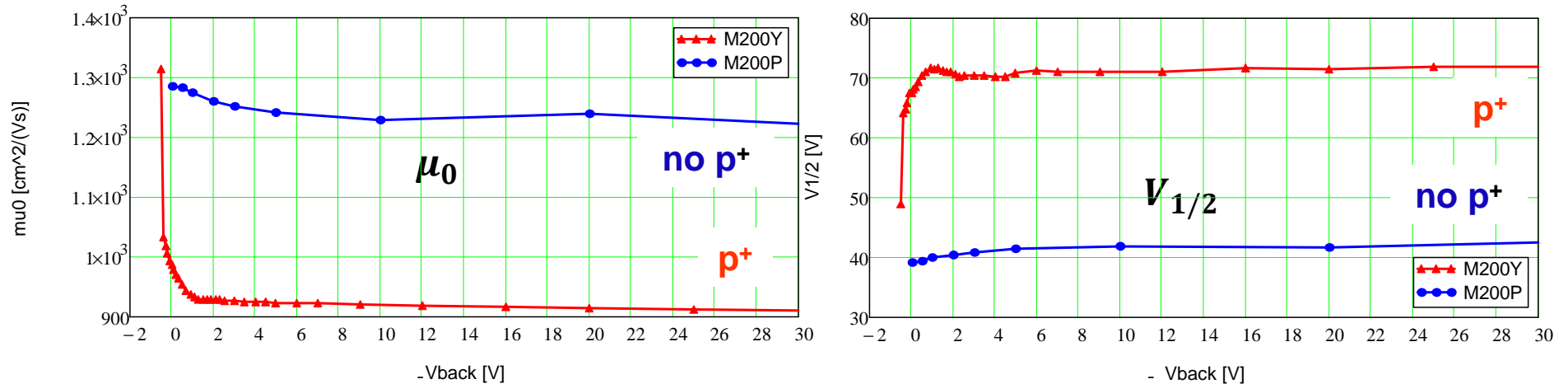


For $V_{gate} > V_T$ model describes data within ~0.1 % for p⁺ and 0.5% for no p⁺

- **no p⁺**: $V_T < 0$ for $V_b < 30 \text{ V} \rightarrow$ “source - drain shorted”
- **p⁺** : $V_T > 0$ for $V_b \geq 0 \text{ V} \rightarrow$ “source - drain isolated”

Fit results for mobility

$$\mu_e(V_{gate}, V_{back}) = \mu_0 / \left(1 + \frac{V_{gate} - V_T(V_{back})}{V_{1/2}}\right)$$



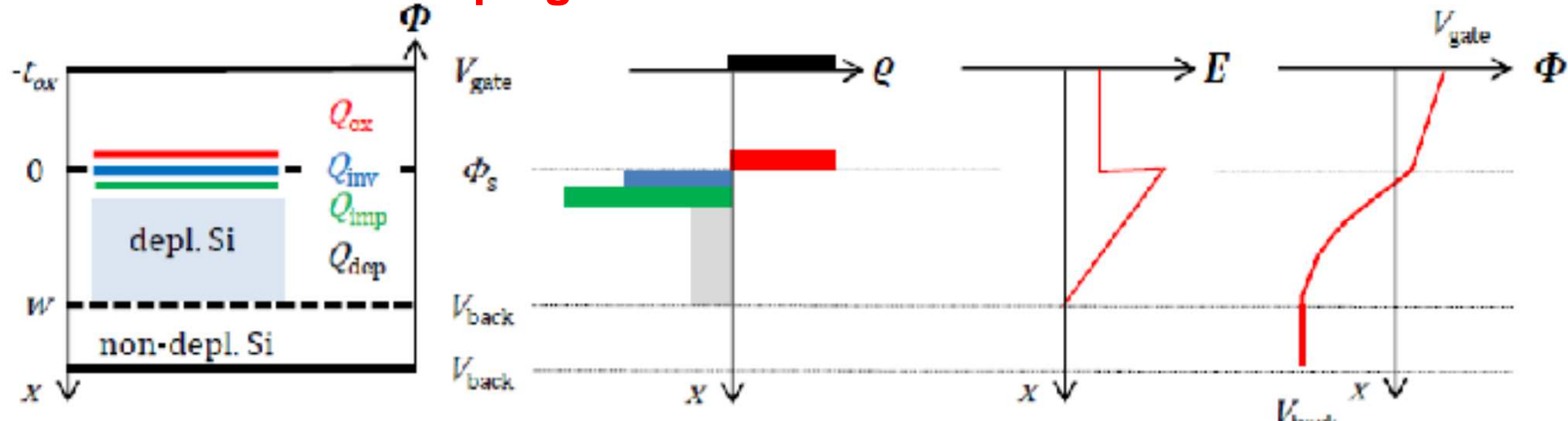
Differences in mobility behaviour:

- **no p⁺**: dominated by surface effects
- **p⁺**: in addition, μ reduction due to high doping-density

Comment: μ_e at interface very different to standard values in Synopsys TCAD !

Determination of p-spray dose [cm⁻²] and N_{ox} [cm⁻²]

Method 1: Uniform doping method



Potential at interface: $\Phi_s \approx 2\Phi_b + f_{ds}V_{ds}$, with $f_{ds} = 0.691$ and $\Phi_b = kT \cdot \ln\left(\frac{N_{dop}}{n_i}\right)$

For uniform bulk doping N_0

Depletion depth: $w = \sqrt{\frac{2\epsilon_{Si}}{q_0N_0}(\Phi_s - V_{back})}$ (same formula as for planar diode)

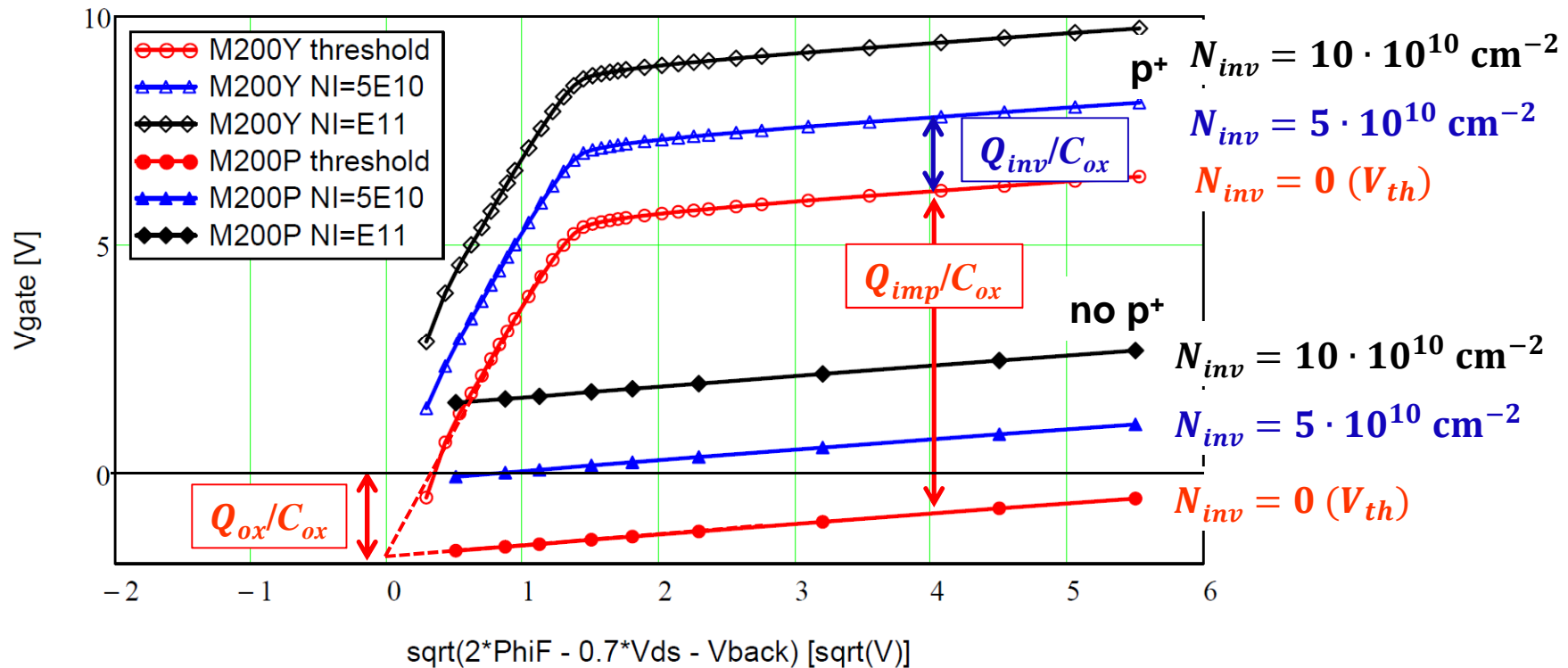
$$V_{gate} = \underbrace{\Phi_s + E_{ox}t_{ox}}_{\text{Voltage drop over oxide}} = \underbrace{\Phi_s + \left(\sqrt{2q_0\epsilon_{Si}N_0 \cdot (\Phi_s - V_{back})}\right)}_{\text{charge depletion region (bulk)}} + \underbrace{Q_{imp}}_{\text{Charge implant}} + \underbrace{Q_{inv}}_{\text{Charge inversion}} - \underbrace{Q_{ox}}_{\text{Oxid charge}} / C_{ox}; \quad C_{ox} = \epsilon_{ox}/t_{ox}$$

For given Q_{inv} (from I_{ds} and μ_e)

V_{gate} vs. $\sqrt{(\Phi_s - V_{back})}$ linear dependence

→ slope gives N_0 and intercept $N_{imp} + N_{inv} - N_{ox}$

Determination of p-spray dose [cm^{-2}] and N_{ox} [cm^{-2}]



Results: $N_0(\text{M200P}) = 3.8 \cdot 10^{12} \text{ cm}^{-3}$; $N_0(\text{M200Y}) = 3.6 \cdot 10^{12} \text{ cm}^{-3}$

$N_{imp} = 2.18 \cdot 10^{11} \text{ cm}^{-2}$; $N_1(\text{M200Y}) = 1.9 \cdot 10^{15} \text{ cm}^{-3} \rightarrow d_{imp} = 1.15 \mu\text{m}$

$N_{ox}(\text{M200P}) = 6.5 \cdot 10^{10} \text{ cm}^{-2}$; $N_{ox}(\text{M200Y}) = 6.5 \cdot 10^{10} \text{ cm}^{-2}$

Simple method \rightarrow "only" p+ integral – value of Φ_S has to be assumed

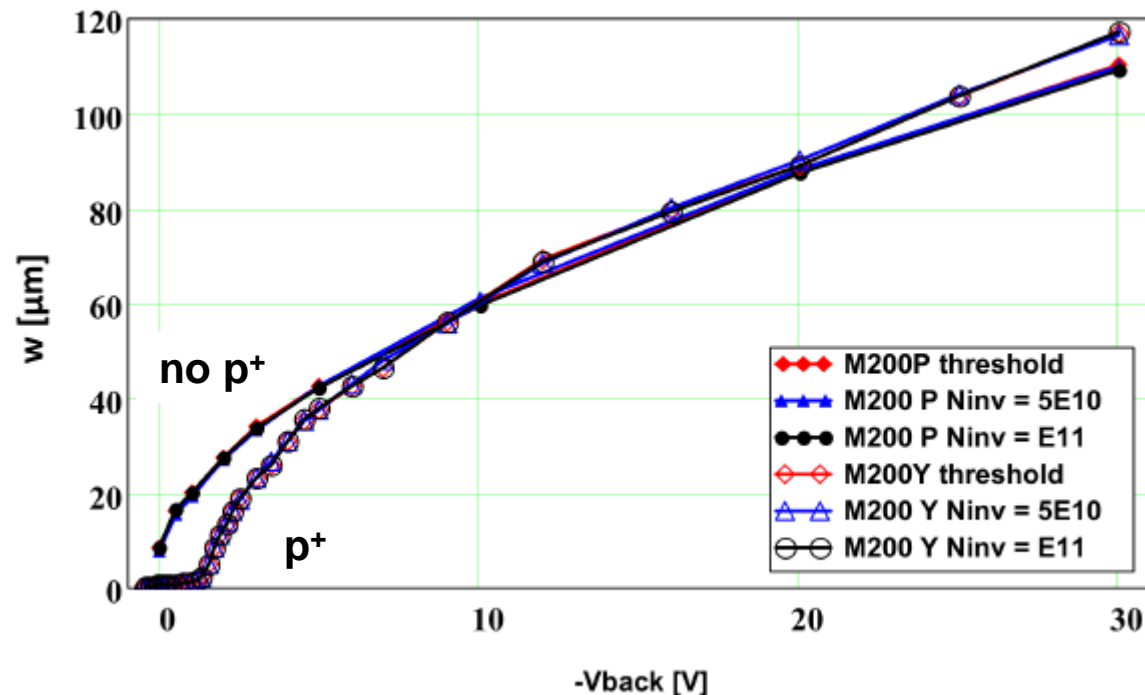
Depletion depth vs. V_{back}

Method 2: “differential”: M.Buehler et al., Appl. Phys. Let. 31(1977)848-850:

Assume: 1-dim. depletion approximation (and $N_D \sim p \rightarrow$ Debye correction later)

For
 N_{inv} fixed

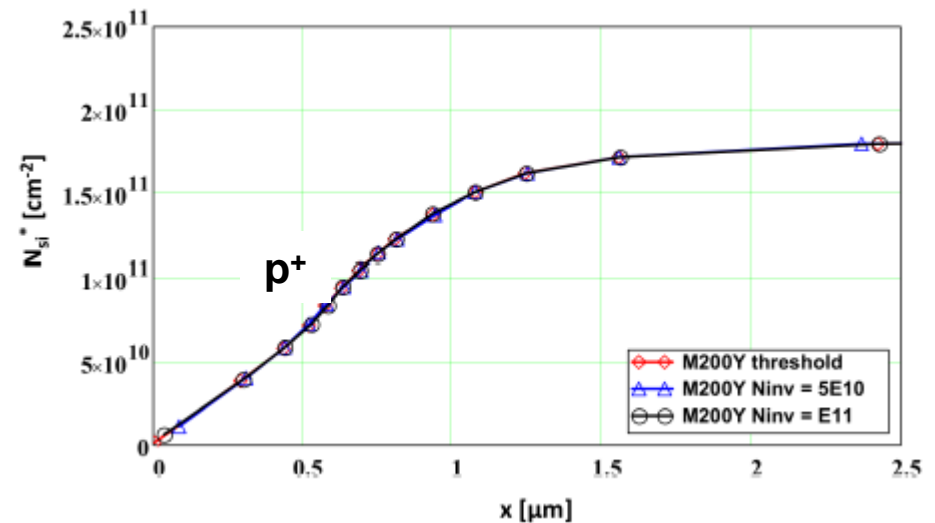
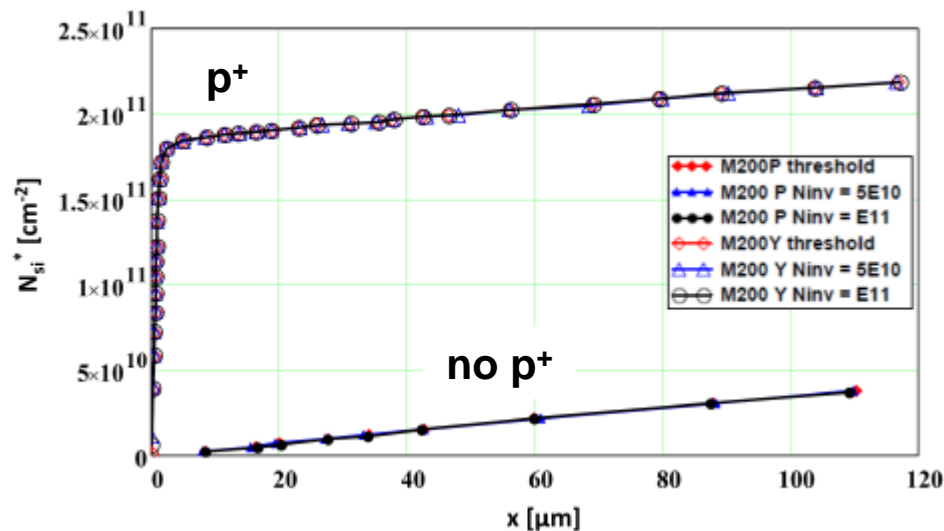
$$N_D(w) = \frac{C_{ox}^2}{q_0 \cdot \epsilon_{Si}} \cdot (d^2V_{back}/dV_{gate}^2)^{-1} ; x = w = \frac{\epsilon_{Si}}{\epsilon_{ox}} \cdot t_{ox} \cdot \frac{dV_{back}}{dV_{gate}}$$



w (1st derivative) well determined - differences for $w < 2 \mu\text{m}$

Integral of doping profile

$$x = \frac{\epsilon_{Si}}{\epsilon_{ox}} \cdot t_{ox} \cdot \frac{dV_{back}}{dV_{gate}} \quad \text{and} \quad N_{Si}^* = \int_0^x N_D(\xi) d\xi = \frac{C_{ox}}{q_0} (V_{gate}(x) - V_{gate}(0))$$

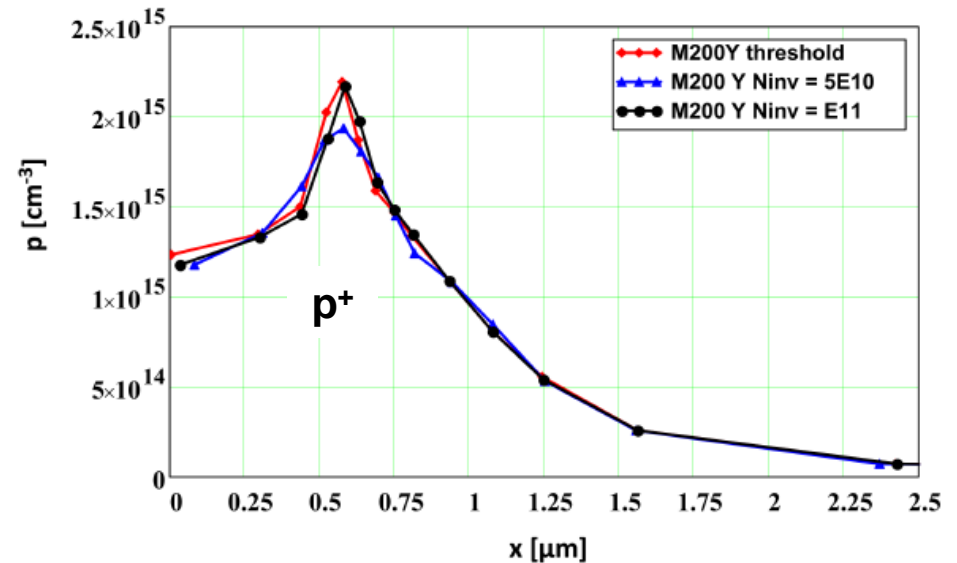
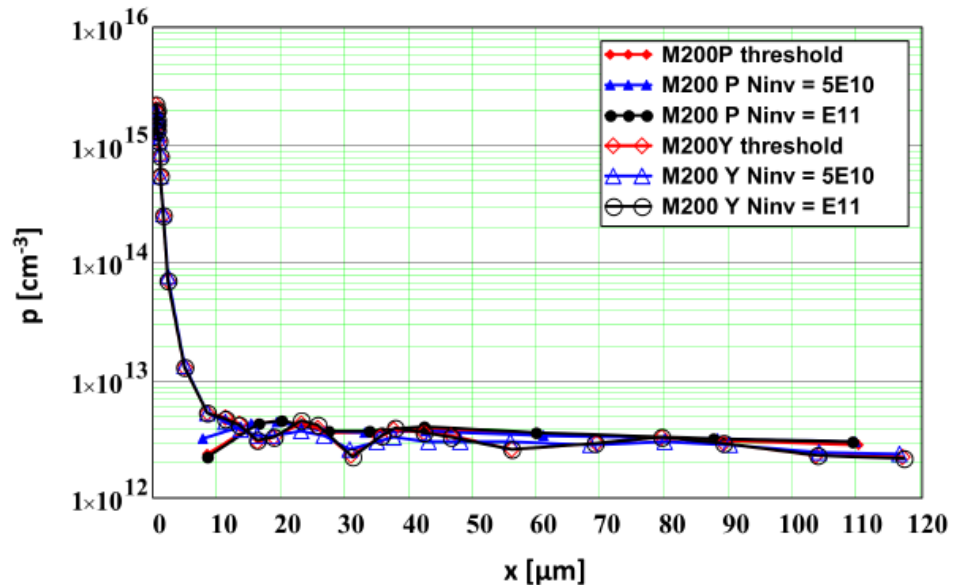


Method uses only 1st derivative and extrapolation to $x \rightarrow 0$
Dopant integral, which is most relevant, is well determined;
can be probed at distances < 1 μm from Si-SiO₂ interface

Density of free charge carriers (holes)

Like C-V for n⁺p-diodes, also n-MOSFET measurements determine the **hole density** (for rapid variation of $N_D(x)$ due to diffusion $N_D(x) \neq p(x)$ “Debye correction”)

$$p(x) = \frac{C_{ox}^2}{q_0 \cdot \epsilon_{Si}} \cdot (d^2V_{back}/dV_{gate}^2)^{-1} \quad \text{and} \quad x = \frac{\epsilon_{Si}}{\epsilon_{ox}} \cdot t_{ox} \cdot \frac{dV_{back}}{dV_{gate}}$$

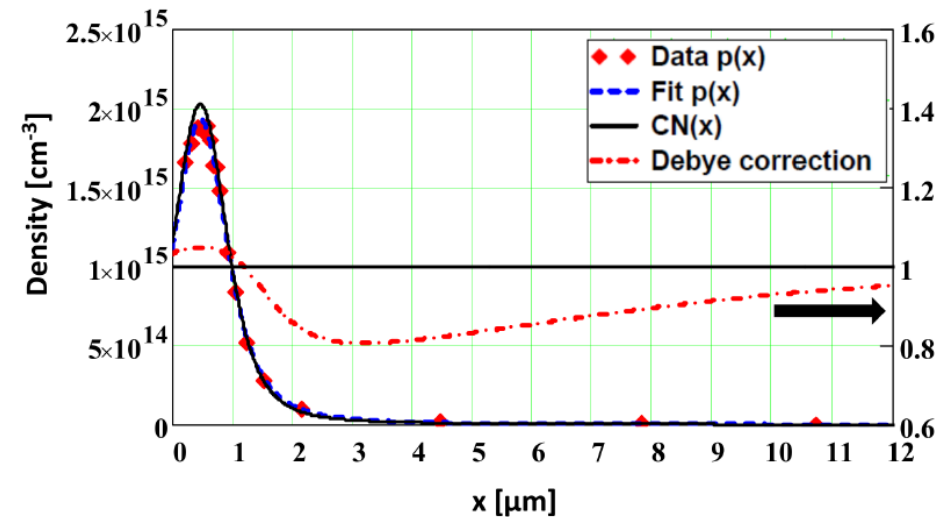
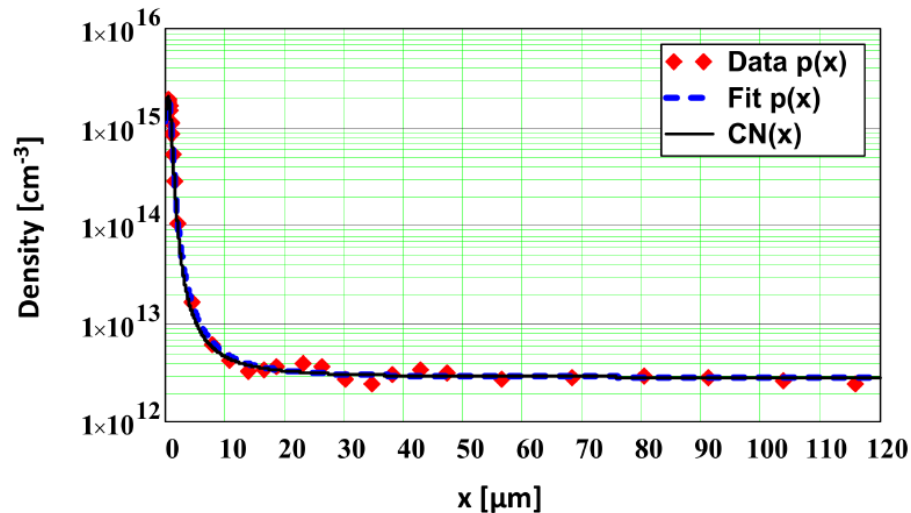


$p(x)$ results (2nd derivative!) very sensitive to data quality;
extraction of $p(x)$ not too reliable (e.g. V_{back} has to be known to ~1 mV)

Dopant density

Relation between **doping density** and **hole density** (drift current = diffusion current)

$$N_D(x) = p(x) - \frac{\epsilon_{Si} kT}{q_0^2} \frac{d^2 \ln(p(x))}{dx^2}$$



To obtain smooth results $p(x)$ was parametrised by a phenomenological function

**Debye correction < 20 %, similar to the $p(x)$ determination uncertainty
 → correction not straight forward and not too relevant**

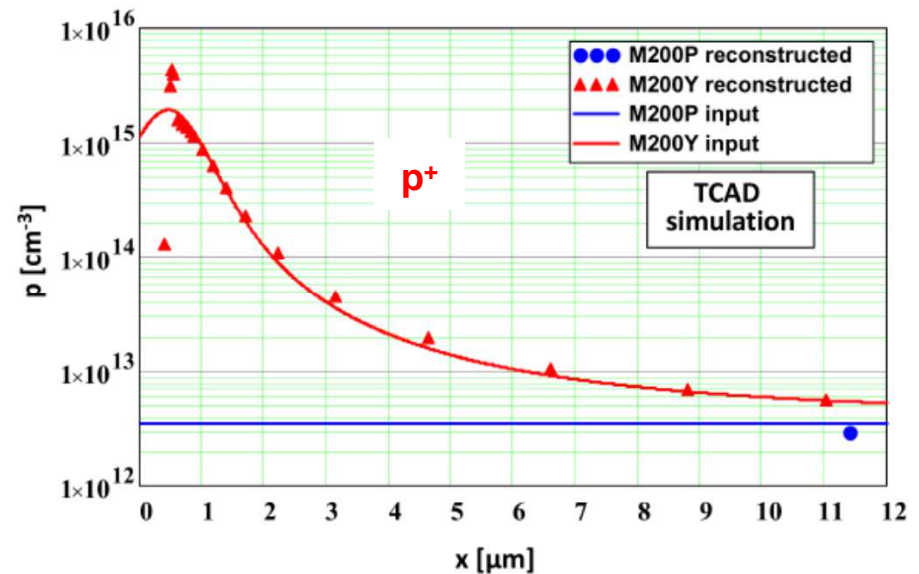
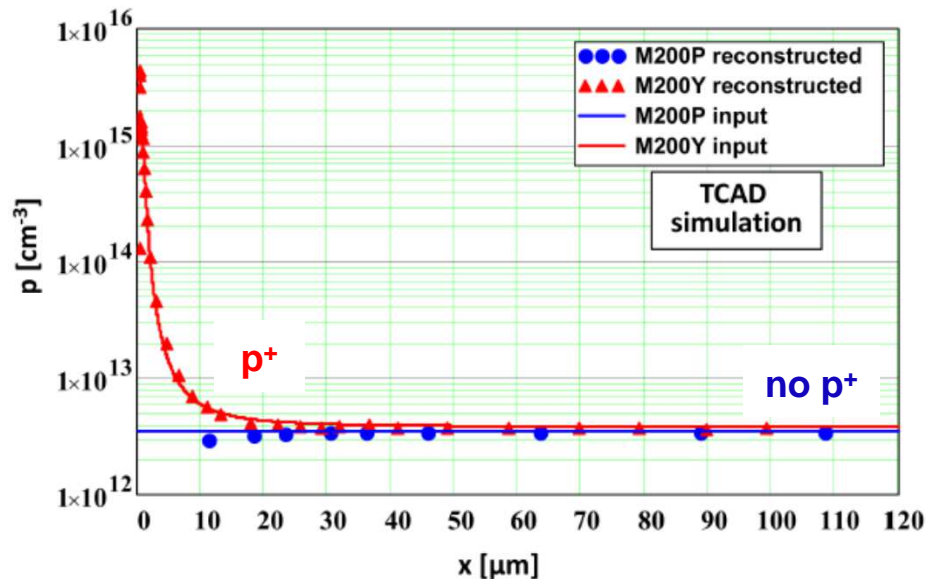
TCAD simulations

Analysis methods have been verified by TCAD simulations

Standard Synopsys parameters for $\mu_e(E)$ quite different to results

→ $I_{ds}(V_{gate}, V_{back})$ curves only qualitatively reproduced!

→ As check compare TCAD input values to results of analysis of TCAD data



Satisfactory, but not perfect agreement

→ To achieve simulations in agreement with data is a major challenge (and requires significant computing resources)

Conclusions and possible next steps

Results relevant for understanding the isolation of n⁺ implants in n⁺p and n⁺n Si sensors:

- Integrated p⁺ doping and doping profile to distances < 1 μm from Si-SiO₂ interface determined using a circular MOSFET
- Dependence of electron mobility in inversion layer as a function of the electric field normal to the Si-SiO₂ interface determined
- Oxide charge density N_{ox} determined
- Analysis methods verified using TCAD simulations

Possible extension of the work:

- Compare results to other methods, e.g. Spreading Resistance Measurement
- Irradiate MOSFETs with X-rays under bias to study the influence of surface damage on n⁺ implant isolation under “detector operating conditions”
- Investigate if method can be used to study effective doping profiles in hadron-irradiated MOSFETs and compare to results from TCT, shallow beam, C-V-f and TCAD simulations (study of B-removal ???)

! Comments and suggestions welcome !

Paper: E. Fretwurst et al., Determination of the p spray profile for n⁺p silicon sensors using a MOSFET, arXiv 1704.01829 and submitted to NIM-A