

Workshop on the LHeC and the FCC-eh
 CERN, September 13th 2017



Electron-Ion

Physics:

Status Report



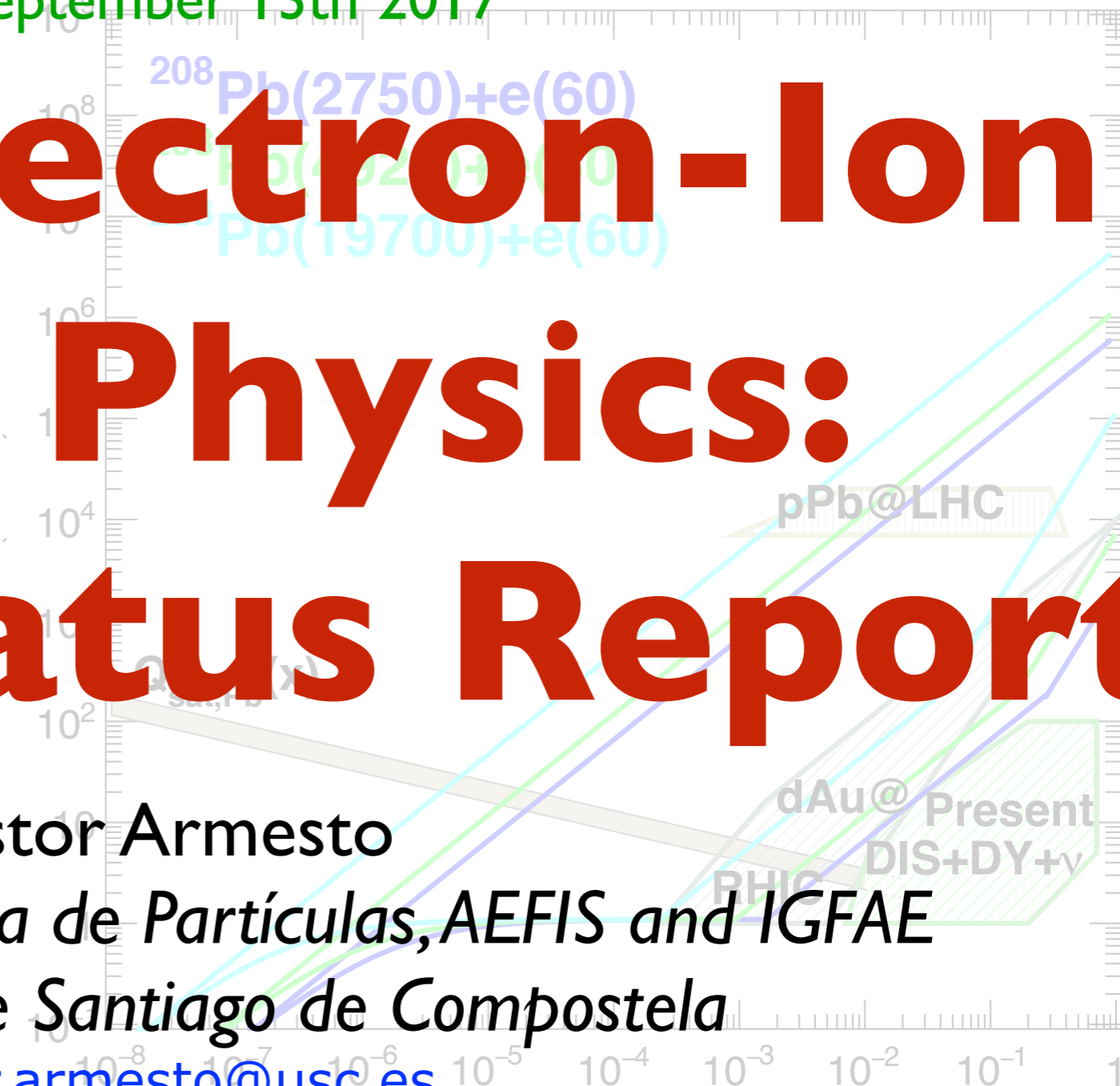
Néstor Armesto

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for the LHeC/FCC-eh Study group, <http://cern.ch/lhec>



1. Introduction.

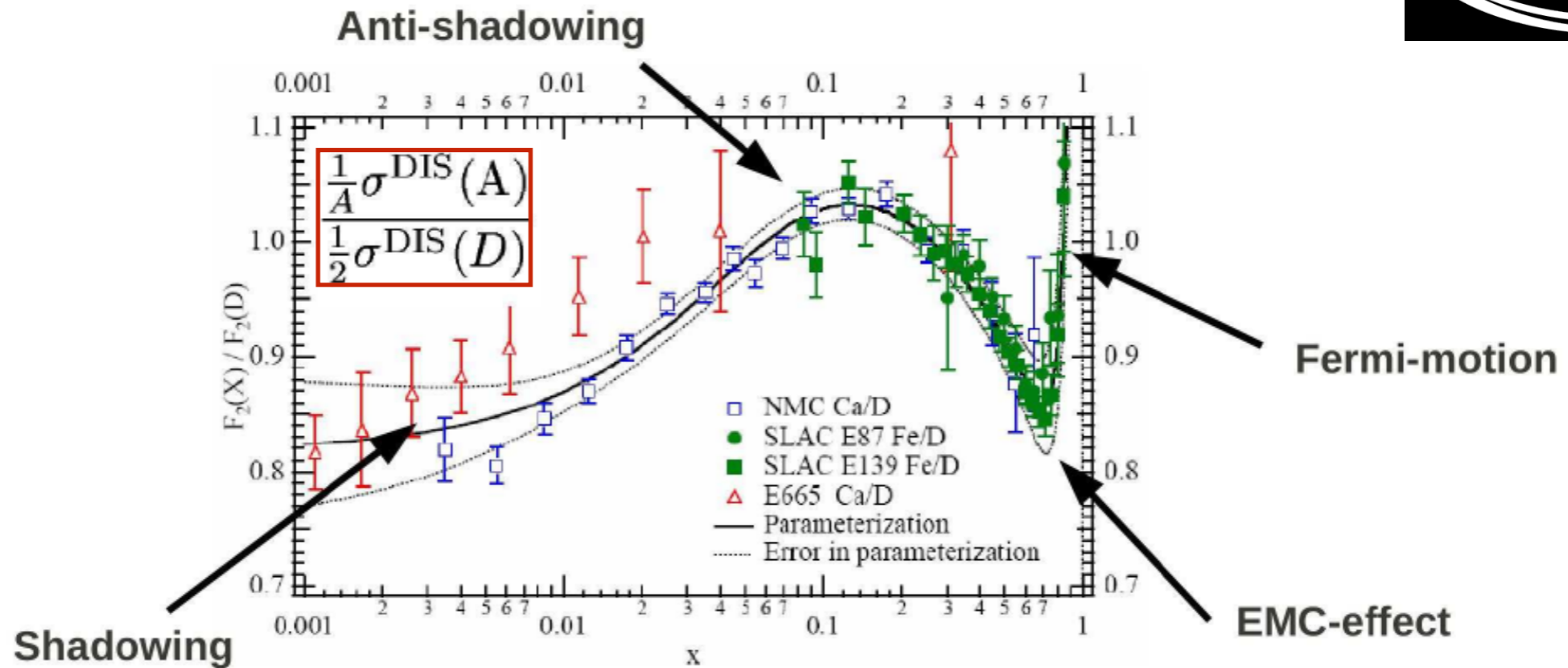
2. Kinematics and luminosity.

3. Physics opportunities:

- Nuclear parton densities nPDFs.
- Diffraction.
- QCD radiation and hadronisation in the nuclear medium.

4. Summary.

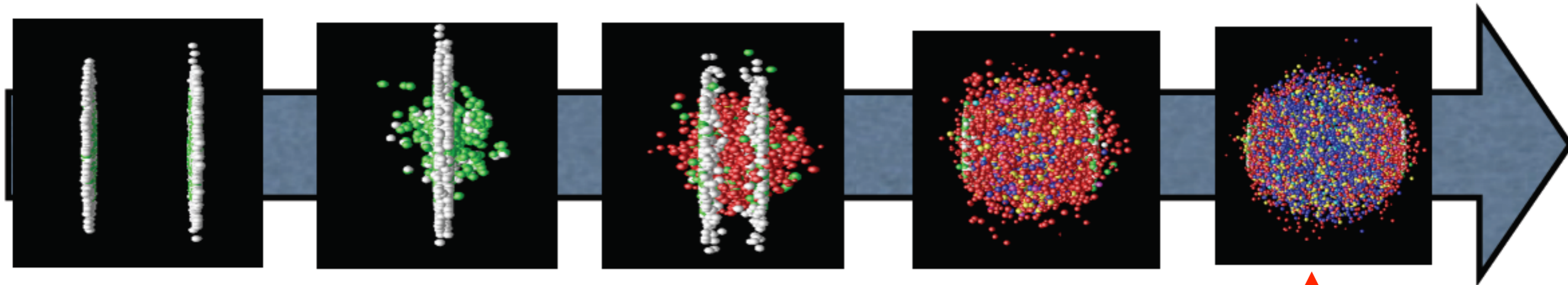
See the talks by Vadim Guzey, Paul Newman, Fred Olness, Anna Stasto, Konrad Tywoniuk and Pia Zurita; also my talk on Monday.



- Bound nucleon \neq free nucleon: search for process independent nPDFs that realise this condition, assuming collinear factorisation.

$$\sigma_{\text{DIS}}^{\ell+A \rightarrow \ell+X} = \sum_{i=q, \bar{q}, g} \underbrace{f_i^A(\mu^2)}_{\text{Nuclear PDFs, obeying the standard DGLAP}} \otimes \underbrace{\hat{\sigma}_{\text{DIS}}^{\ell+i \rightarrow \ell+X}(\mu^2)}_{\text{Usual perturbative coefficient functions}}$$

$$f_i^{p,A}(x, Q^2) = \boxed{R_i^A(x, Q^2)} f_i^p(x, Q^2) \quad \boxed{R = \frac{f_{i/A}}{A f_{i/p}} \approx \frac{\text{measured}}{\text{expected if no nuclear effects}}}$$



Glucos from saturated nuclei → Glasma? → QGP → Reconfinement

- Nuclear wave function at small x : **nuclear structure functions.**

- Particle production at the very beginning: **which factorisation in eA?**
- How does the system behave as \sim isotropised so fast?: **initial conditions for plasma formation to be studied in eA.**

- Probing the medium through energetic particles (jet quenching etc.): **modification of QCD radiation and hadronization in the nuclear medium.**

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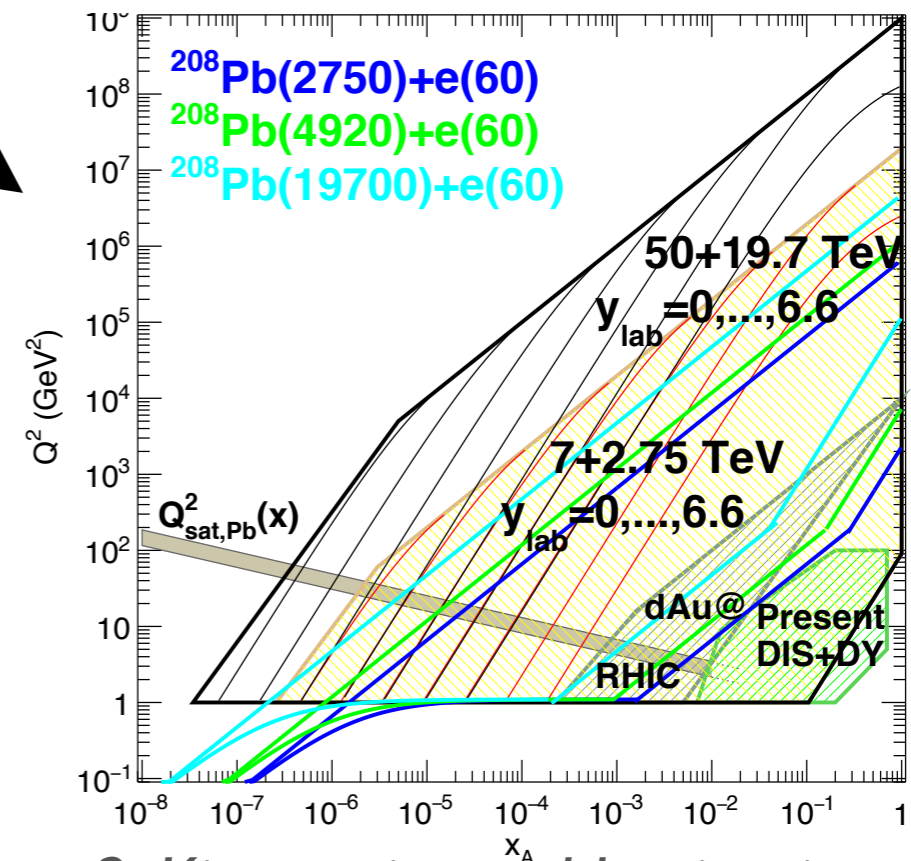
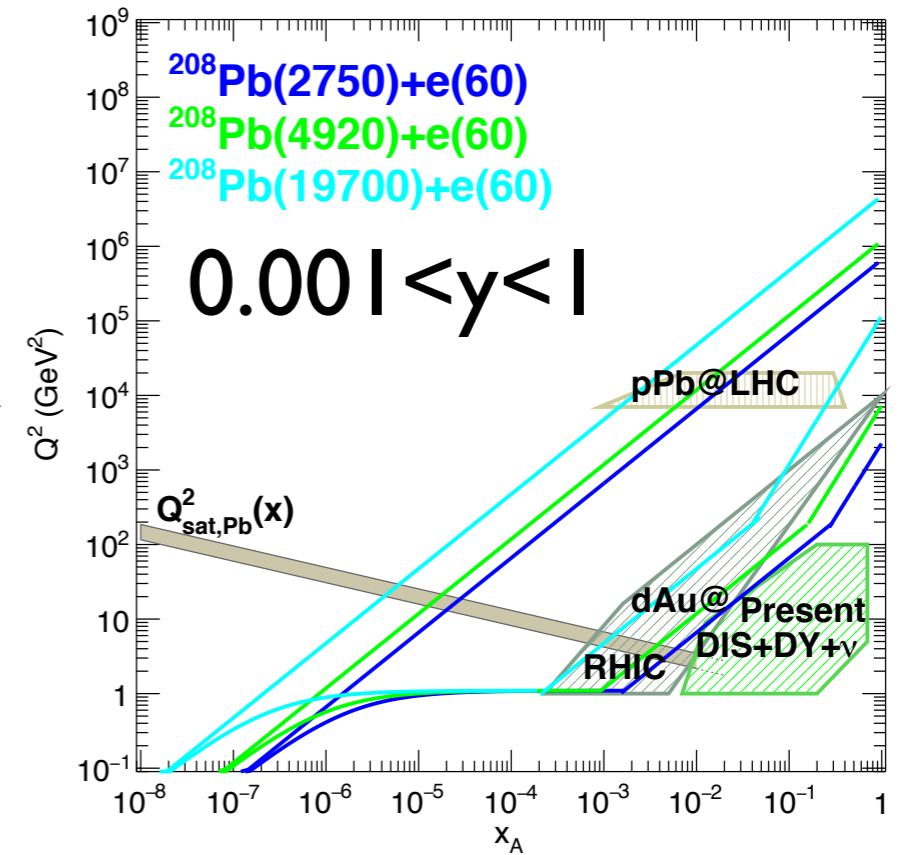
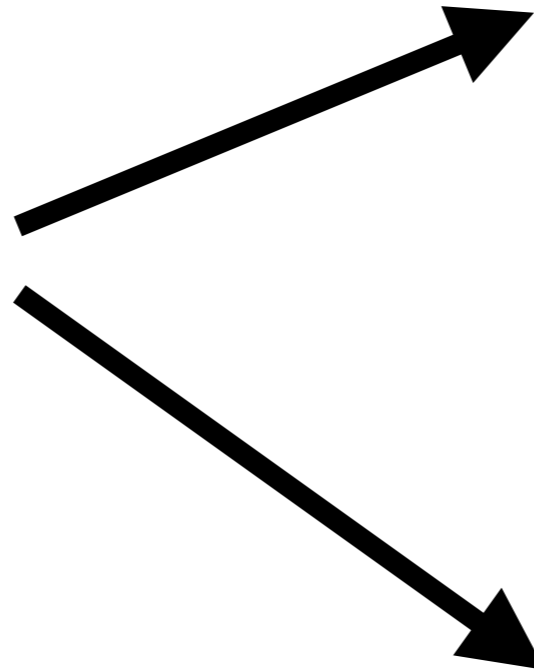
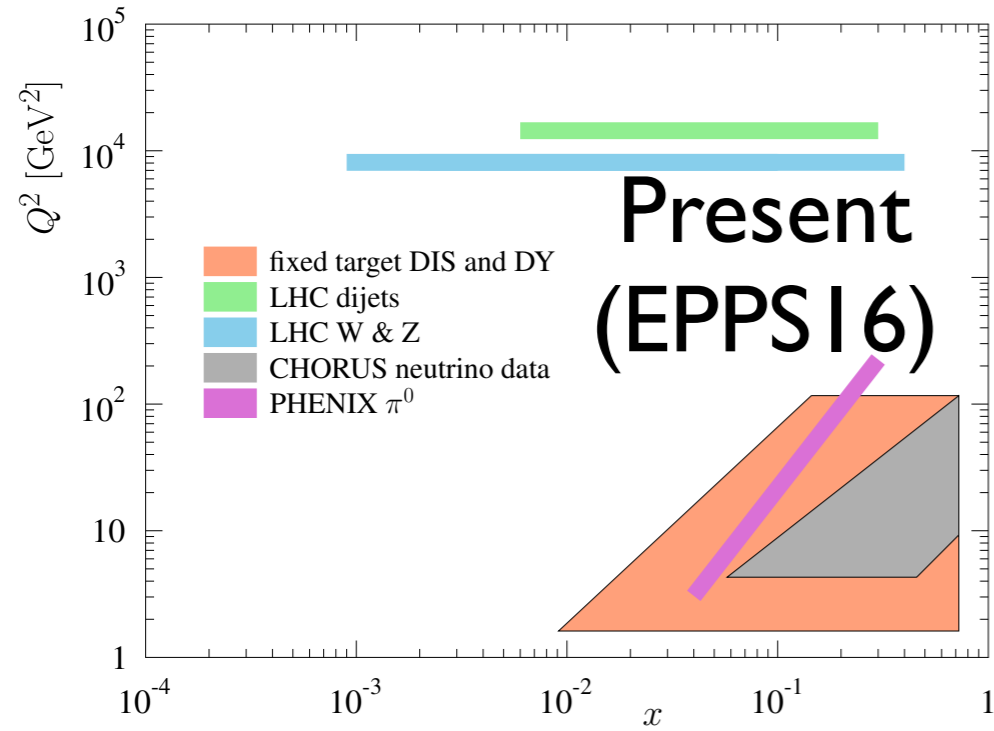
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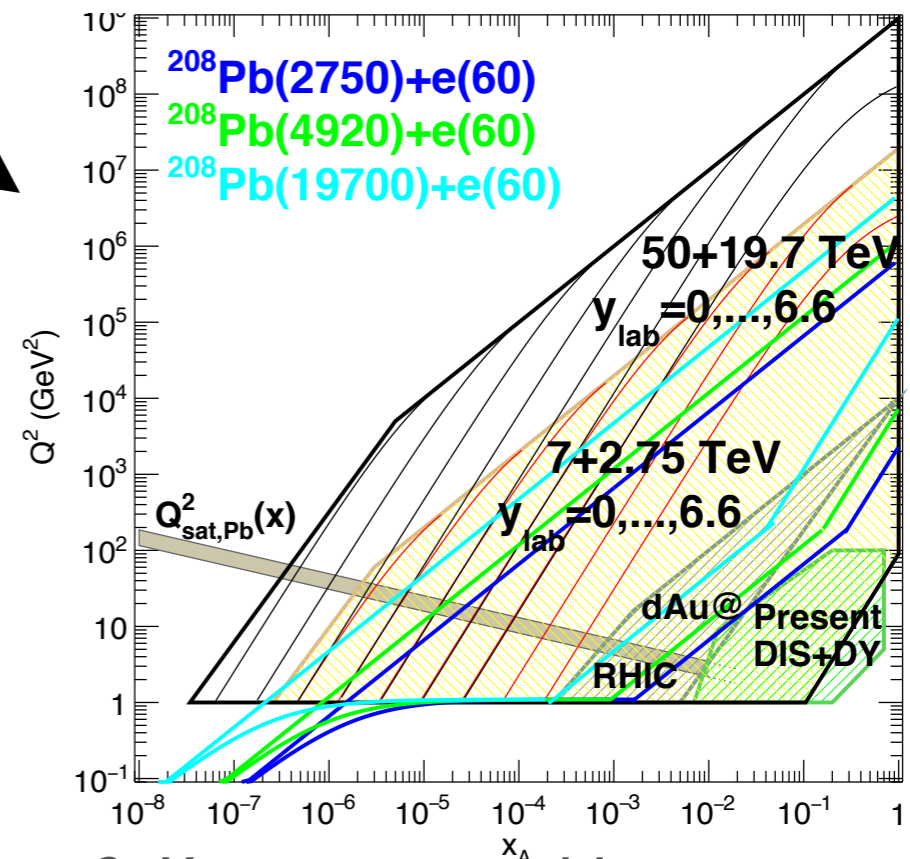
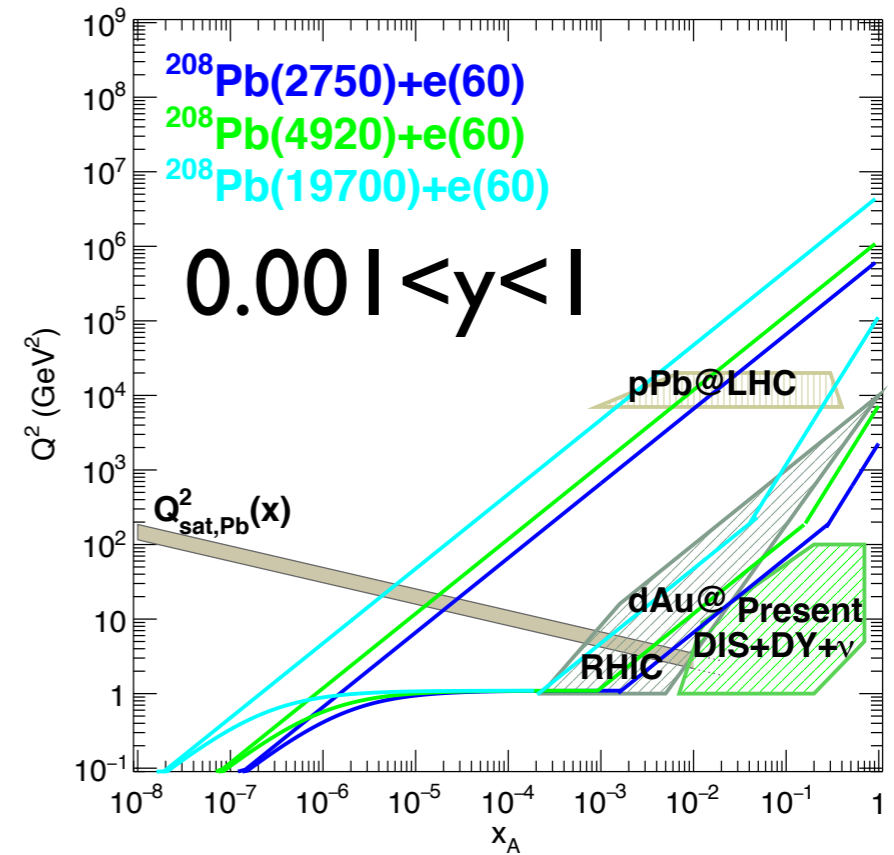
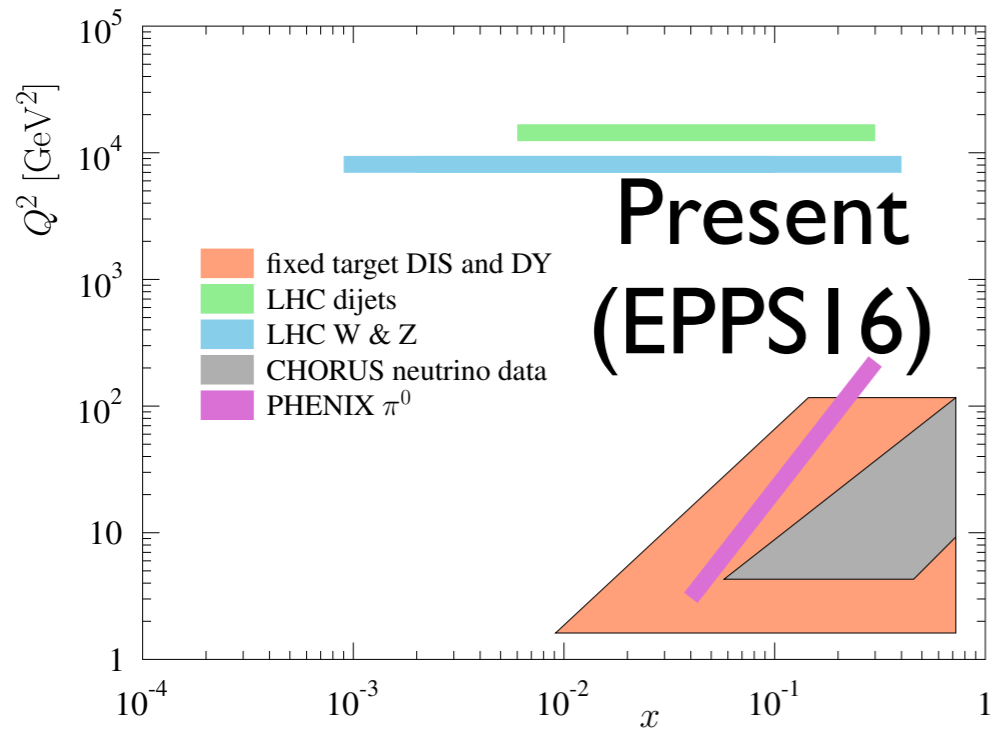
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Kinematical reach:



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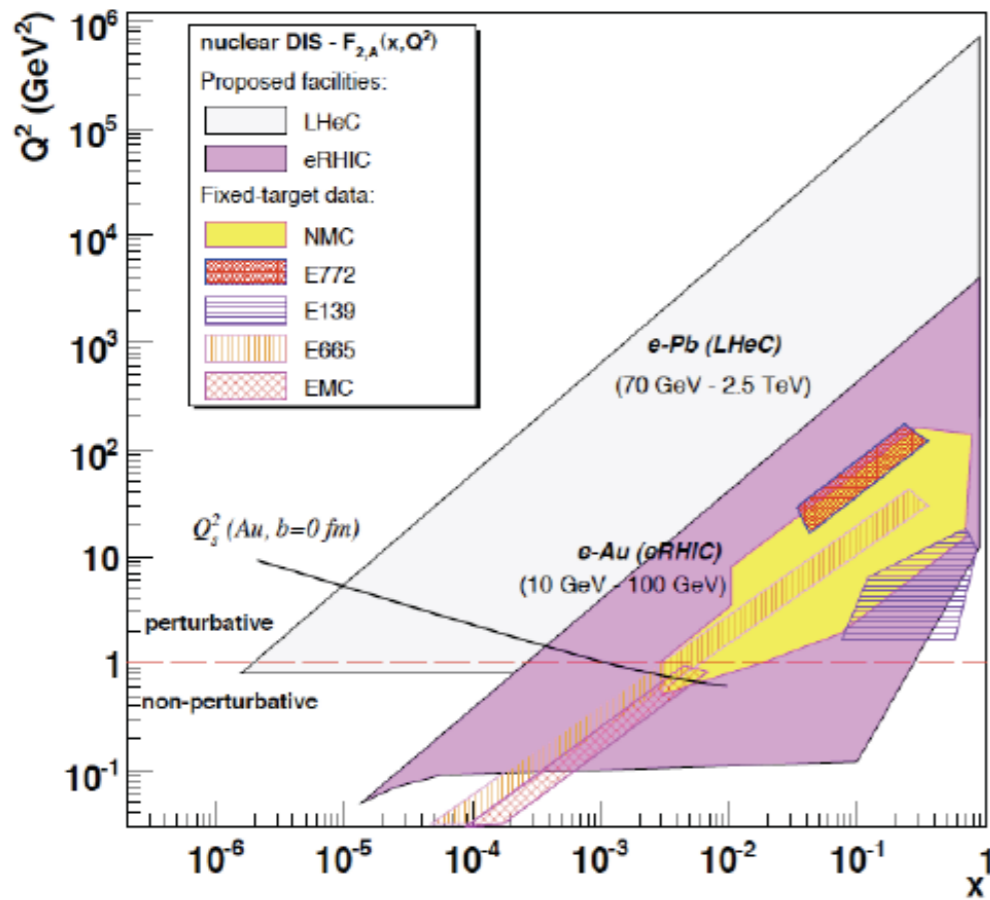


- DIS offers:**

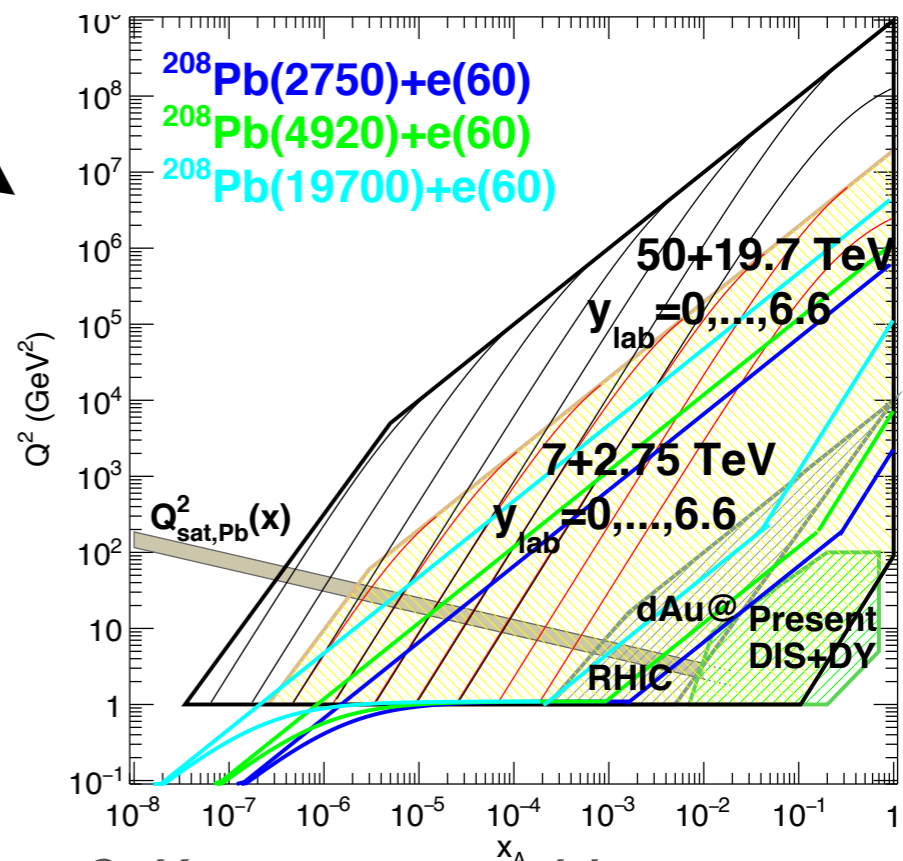
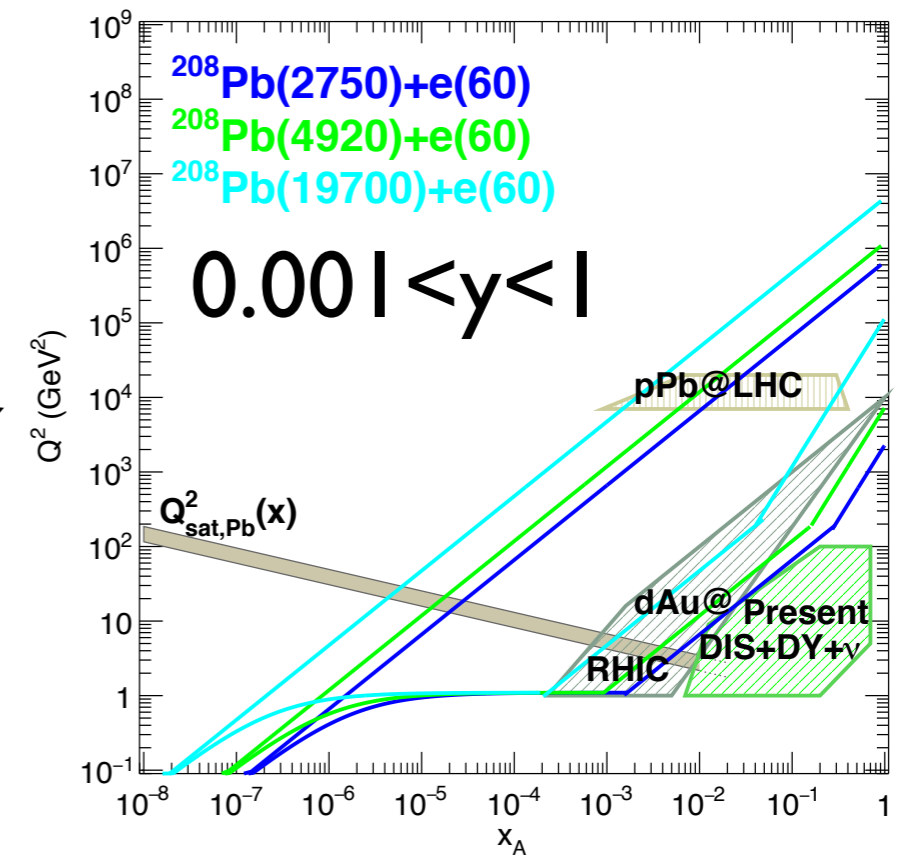
- A clean experimental environment: lower multiplicity, no pileup, fully constrained kinematics;

- A more controlled theoretical setup: most first-principles calculations in a dilute-dilute/dense regime.

- Kinematical reach:**



D'Enterria arXiv:0707.4182



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- Nominal case: 60 GeV electron beam against the hadron beams.
- CDR values ($N_{\text{Pb}}=7 \times 10^7/\text{bunch}$) \Rightarrow $\sim 0.1 \text{ fb}^{-1}/\text{month}$.

$$L_{eN} = \begin{cases} 9 \times 10^{31} \text{ cm}^{-2}\text{s}^{-1} & (\text{Nominal Pb}) \\ 1.6 \times 10^{32} \text{ cm}^{-2}\text{s}^{-1} & (\text{Ultimate Pb}) \end{cases} \quad \text{eD: } L_{eN} \gtrsim 3 \times 10^{31} \text{ cm}^{-2}\text{s}^{-1}$$

(Pb numbers ~ 3 times higher with updated Pb parameters).

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parameter [unit]	LHeC (HL-LHC)	eA at HE-LHC	FCC-he
E_{Pb} [PeV]	0.574	1.03	4.1
E_e [GeV] Bruning et al.	60	60	60
$\sqrt{s_{eN}}$ electron-nucleon [TeV]	0.8	1.1	2.2
bunch spacing [ns]	50	50	100
no. of bunches	1200	1200	2072
ions per bunch [10^8]	1.8	1.8	1.8
$\gamma\epsilon_A$ [μm]	1.5	1.0	0.9
electrons per bunch [10^9]	4.67	6.2	12.5
electron current [mA]	15	20	20
IP beta function β_A^* [cm]	7	10	15
hourglass factor H_{geom}	0.9	0.9	0.9
pinch factor H_{b-b}	1.3	1.3	1.3
bunch filling H_{coll}	0.8	0.8	0.8
luminosity [$10^{32} \text{ cm}^{-2}\text{s}^{-1}$]	7	18	54
Integrated lumi. in 10 y. (fb^{-1}) $\sim\sim$	6	15	45

NOW

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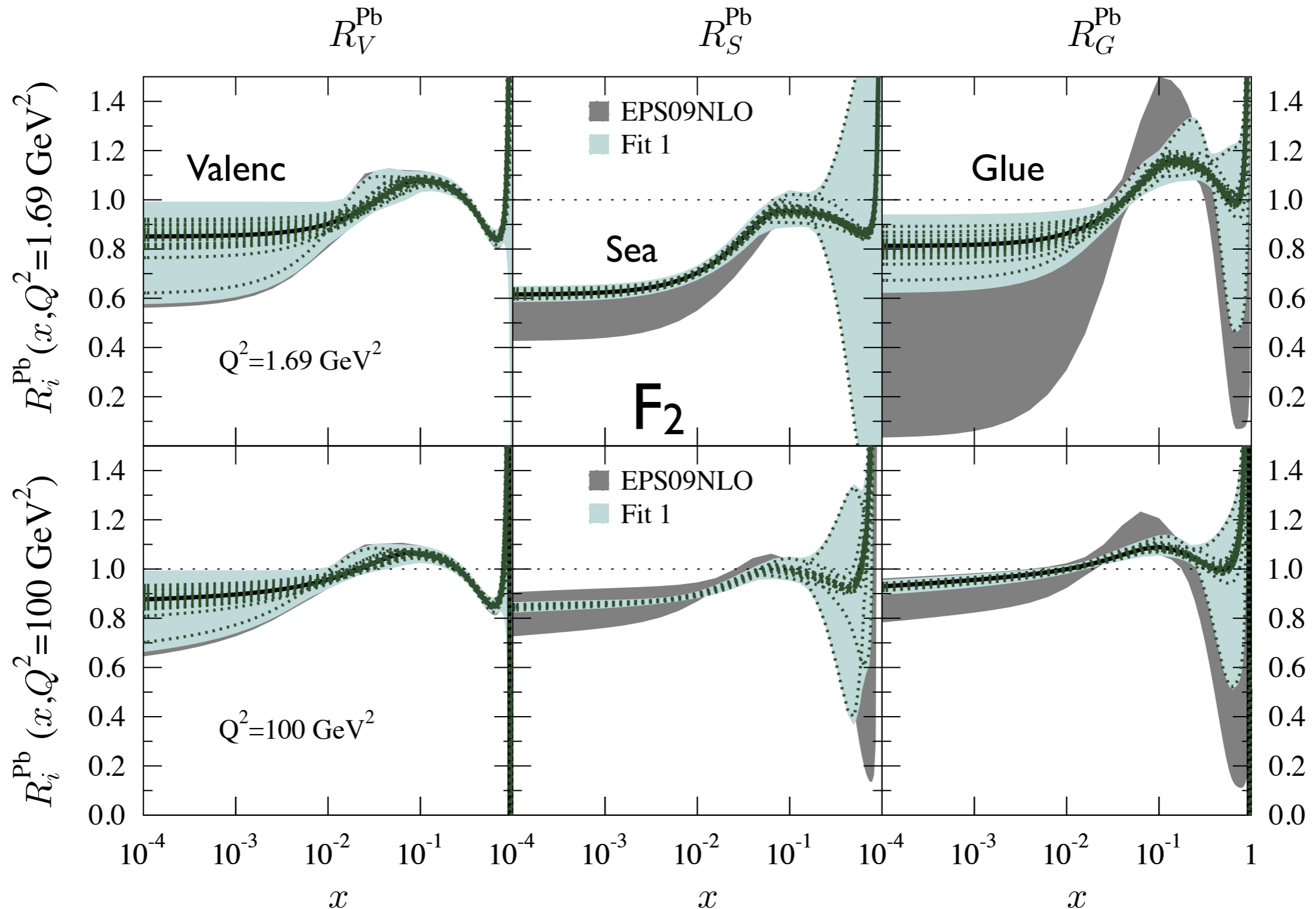
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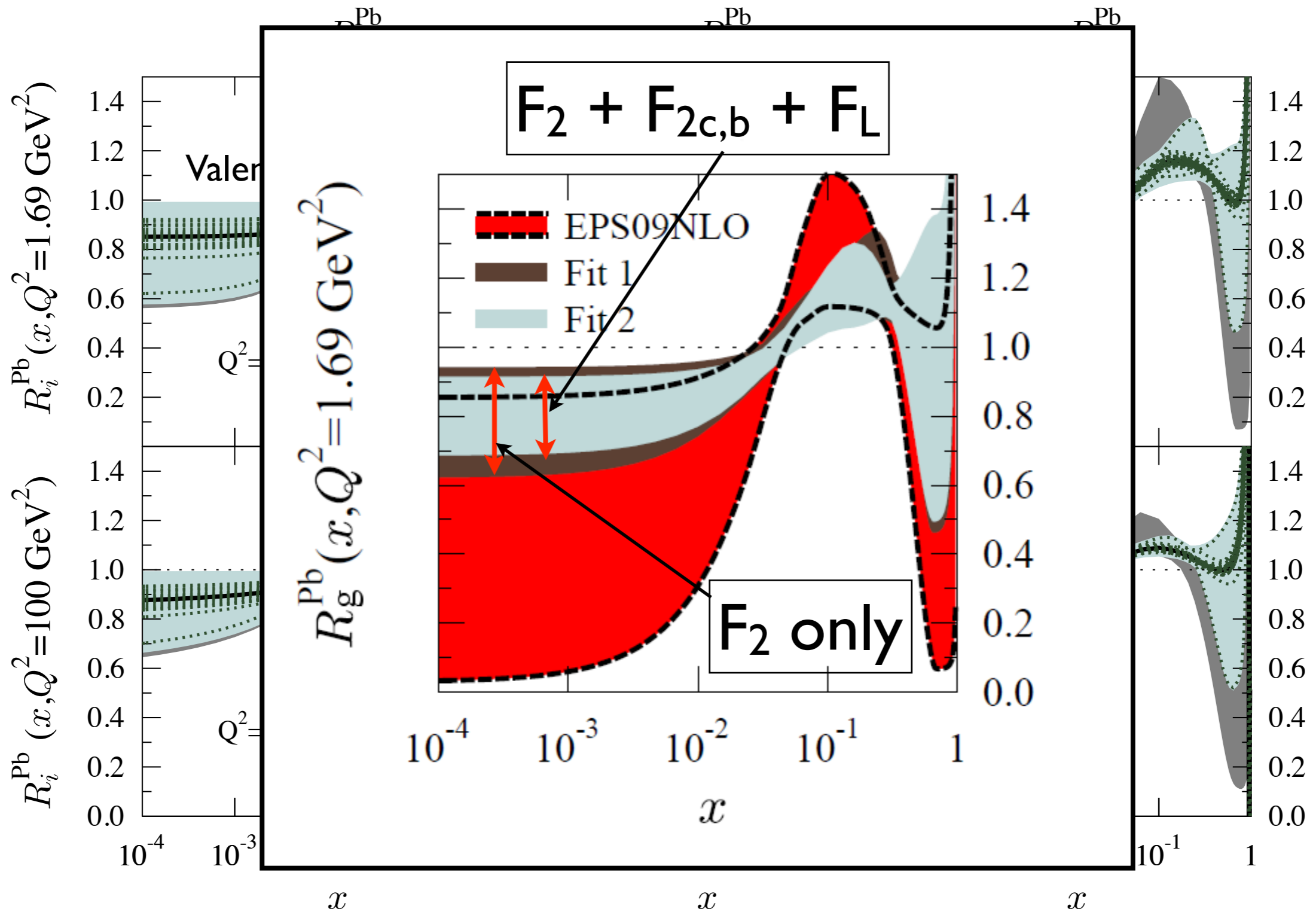
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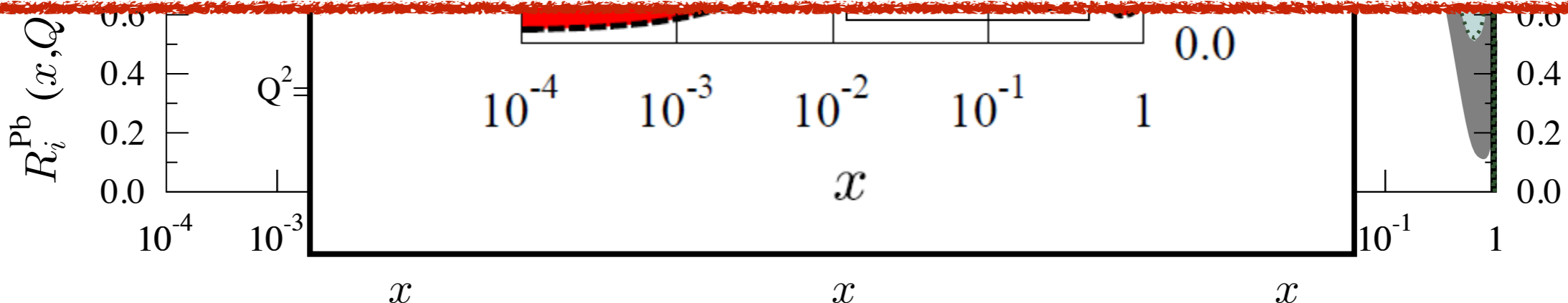
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Since then (mainly Hannu Paukkunen, new scenarios provided by Max Klein):

- 2014: Use reduced cross sections (all x 's), include more electron energies, improve minimisation and heavy flavour scheme.
- 2016: Consider parametrisation bias.
- 2017: Use updated nPDF sets as starting point: EPPS16 that includes LHC data.
- 2017: Use xFitter to make fits for Pb only.



The LHeC pseudodata

- Assume $\mathcal{L}_{ep} = 10 \text{ fb}$, $\mathcal{L}_{ePb} = 1 \text{ fb}$ (per nucleon)
- The assumed energy configs: $\sqrt{s_p} = 7 \text{ TeV}$, $\sqrt{s_{Pb}} = 2.75 \text{ TeV}$ (per nucleon) on $E_e = 60 \text{ GeV}$ electrons.
- The pseudodata are here obtained from ratios of reduced cross sections σ^i and relative point-to-point ($\delta_{\text{uncor.}}^i$) and normalization ($\delta_{\text{norm.}}^i$) uncertainties as

$$R_i = R_i(\text{EPS09}) \times \left[1 + \delta_{\text{uncor.}}^i r^i + \delta_{\text{norm.}}^i r^{\text{norm.}} \right]$$

where

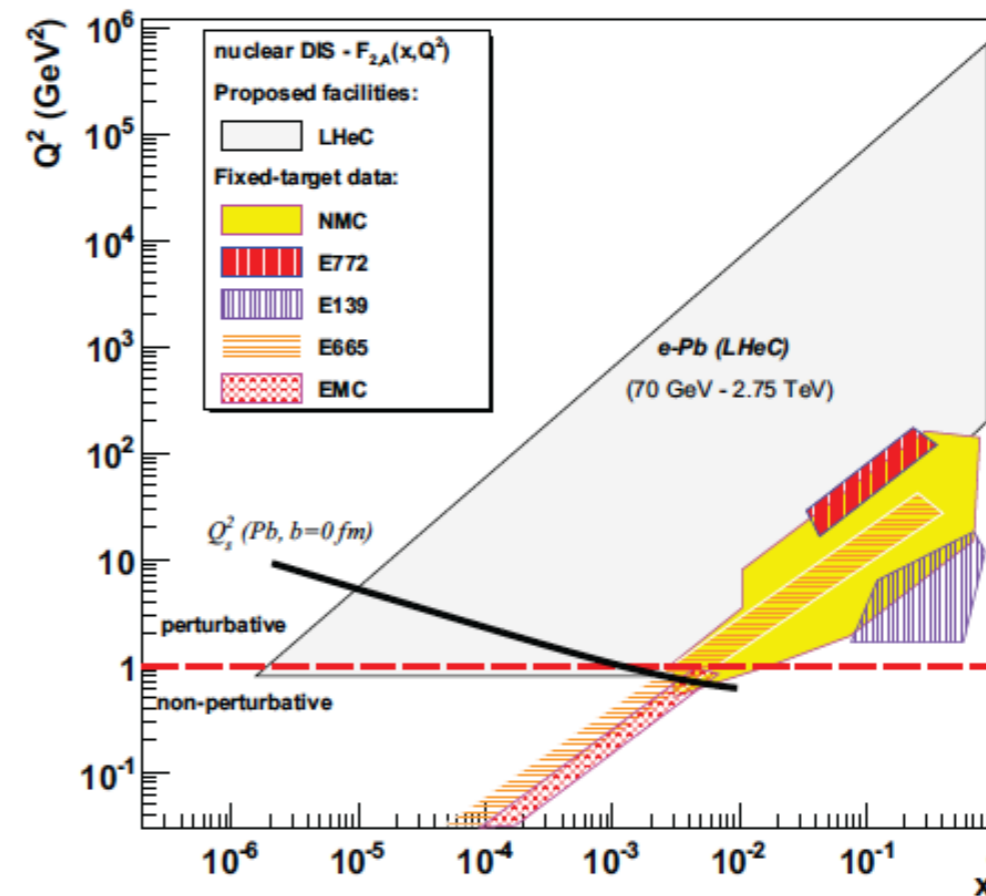
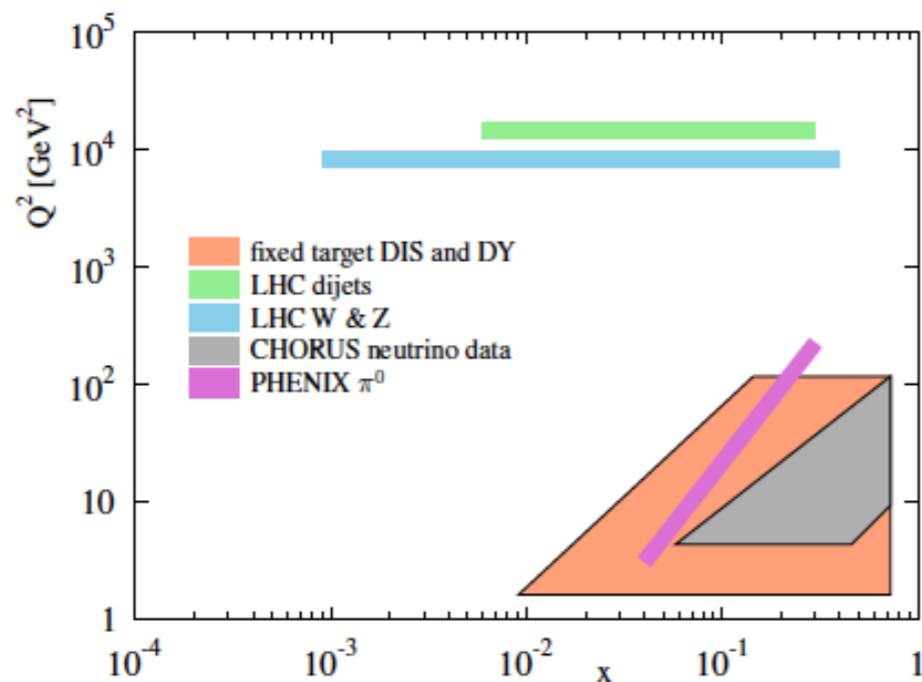
$$R_i(\text{EPS09}) = \frac{\sigma_{ePb}^i(\text{CTEQ6.6} + \text{EPS09})}{\sigma_{ep}^i(\text{CTEQ6.6})},$$

and r^i and $r^{\text{norm.}}$ are Gaussian random numbers.

- In EPS09 $R_{uV} \approx R_{dV}$, $R_{\bar{u}} \approx R_{\bar{d}} \approx R_{\bar{s}}$ (free in EPPS16, but would not expect large deviations from this)

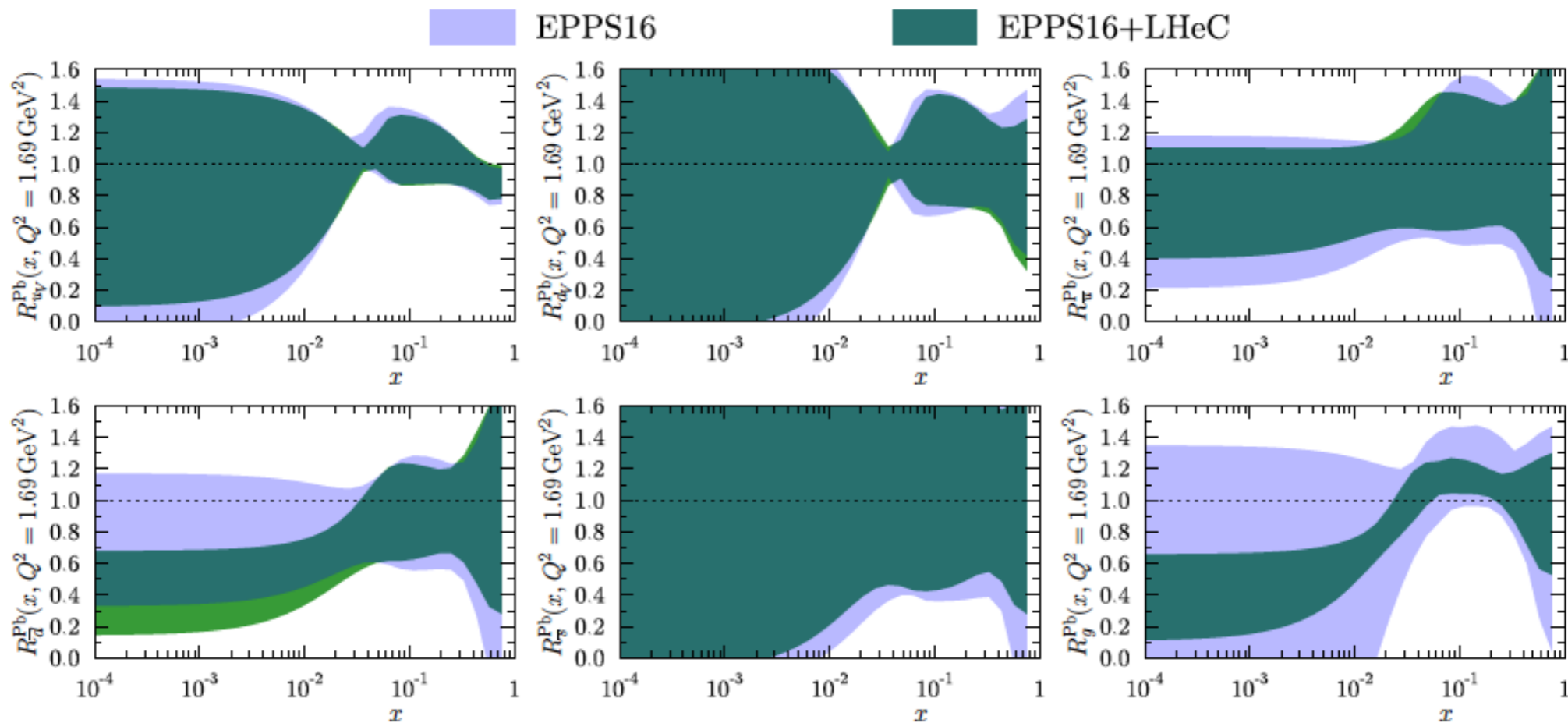
The analysis framework

- The fit framework same as in the EPPS16 analysis [EPJ C77, 163]
- Include the same data as in EPPS16 plus LHeC (NC and CC) pseudo data.
- Hessian uncertainty analysis with $\Delta\chi^2 = 52$ (as in EPPS16)



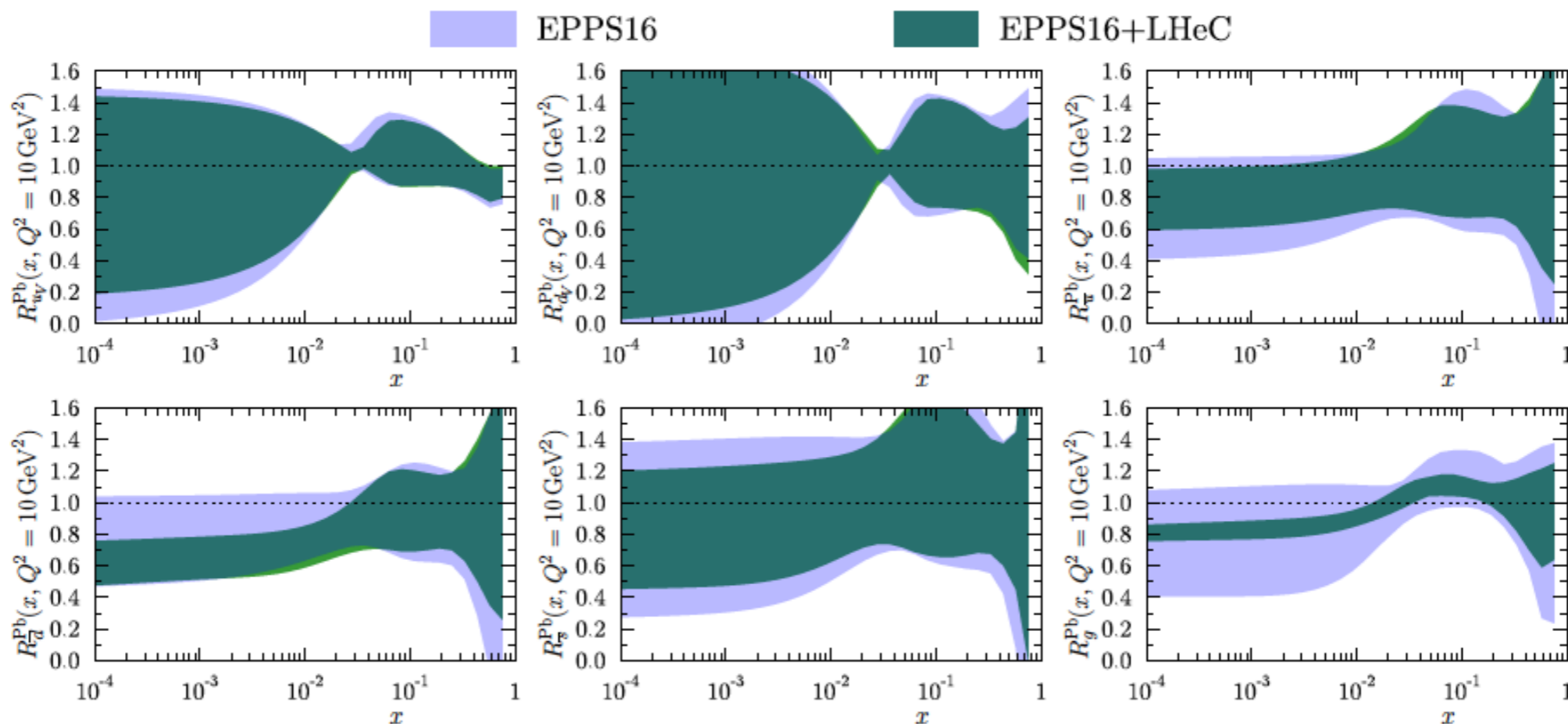
The effect of LHeC pseudodata

- The improvement after adding the LHeC data ($Q^2 = 1.69 \text{ GeV}^2$)



The effect of LHeC pseudodata

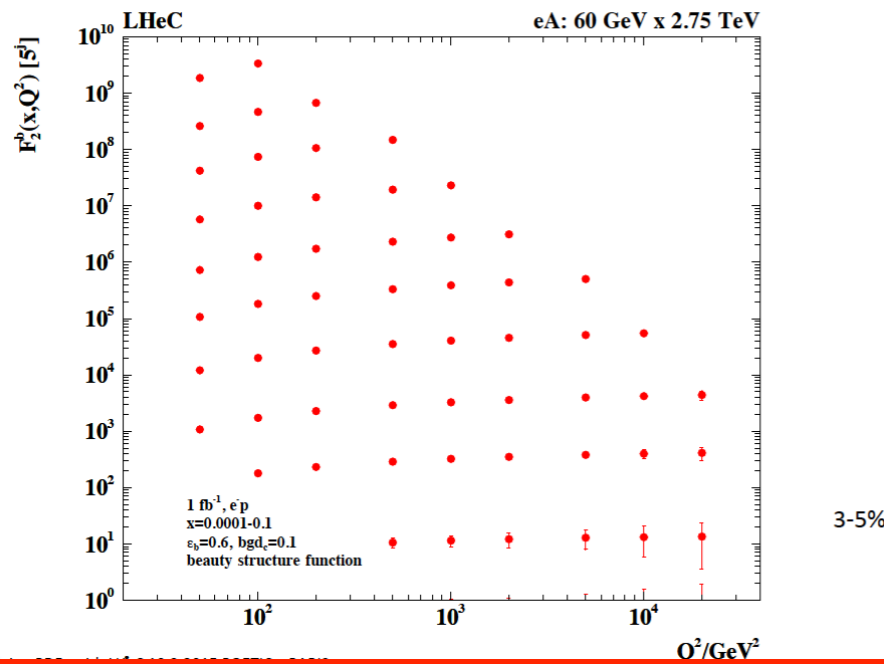
- The improvement after adding the LHeC data ($Q^2 = 10 \text{ GeV}^2$)



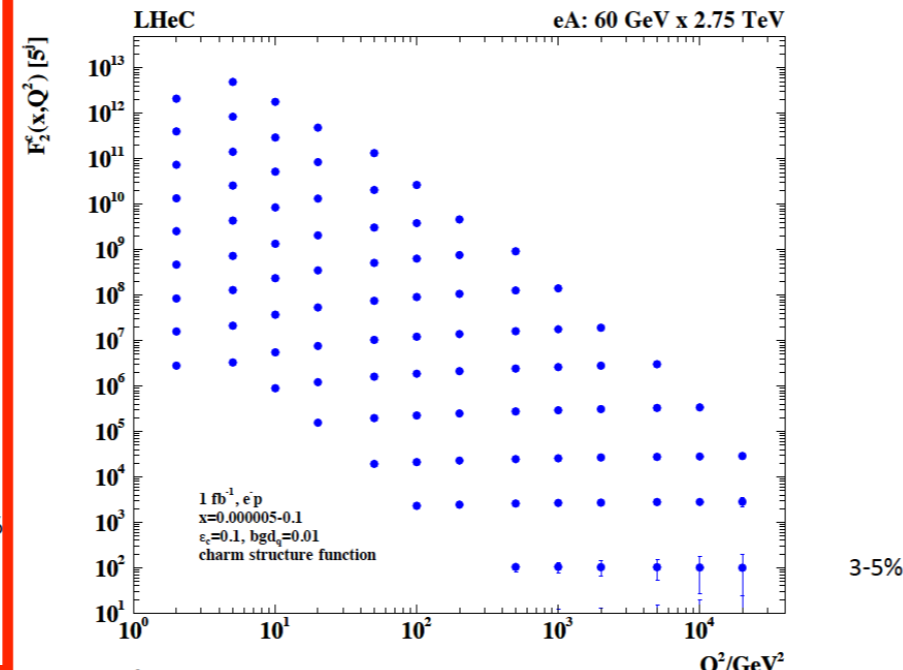
The effect of LHeC pseudodata

Heavy flavour not yet in.

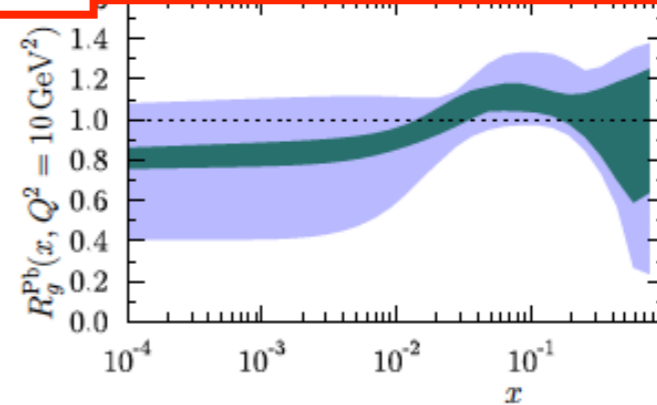
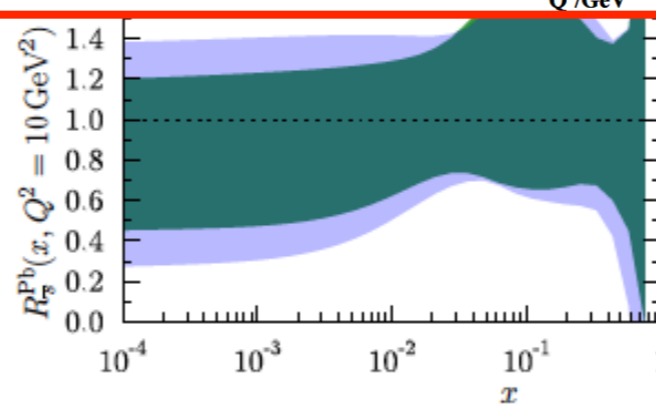
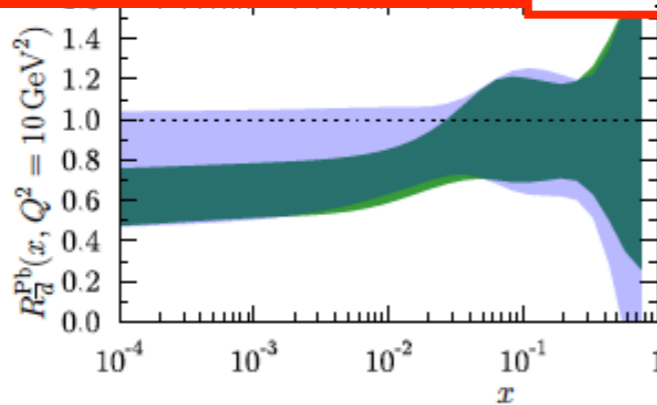
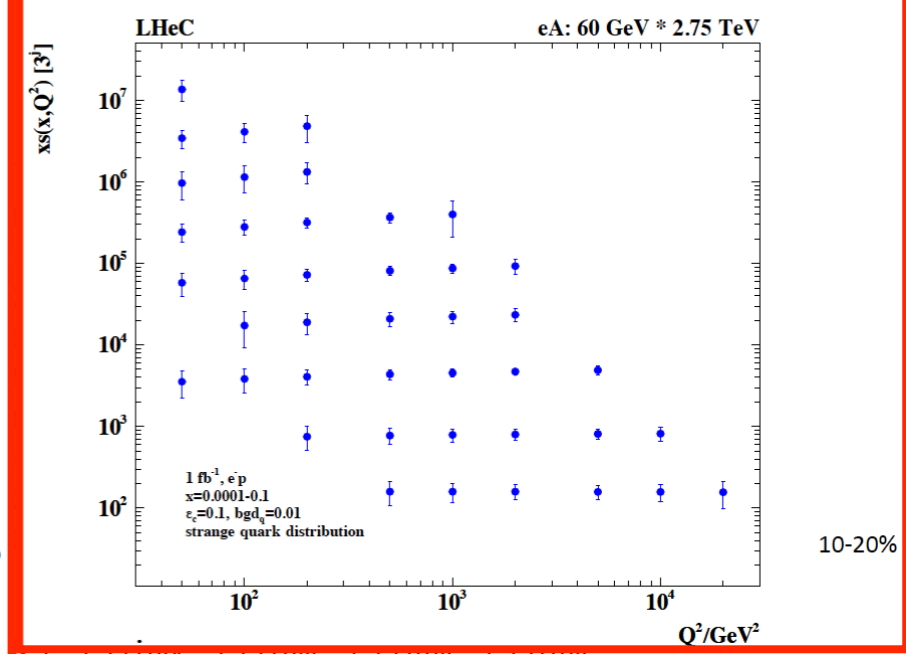
Heavy Flavour – Beauty in ePb - from NC



Heavy Flavour – Charm in eA - from NC



Heavy Flavour – Strange in ePb - from CC



The effect of LHeC pseudodata

- Why it's so hard to pin down the flavor dependence?
- Take the valence up-quark distribution u_V^A as an example:

$$u_V^A = \frac{Z}{A} R_{uV} u_V^{\text{proton}} + \frac{A-Z}{A} R_{dV} d_V^{\text{proton}}$$

- Write this in terms of average modification R_V and the difference δR_V

$$R_V \equiv \frac{R_{uV} u_V^{\text{proton}} + R_{dV} d_V^{\text{proton}}}{u_V^{\text{proton}} + d_V^{\text{proton}}}, \quad \delta R_V \equiv R_{uV} - R_{dV}$$

$$u_V^A = R_V \left(\frac{Z}{A} u_V^{\text{proton}} + \frac{A-Z}{A} d_V^{\text{proton}} \right) + \delta R_V \left(\frac{2Z}{A} - 1 \right) \frac{u_V^{\text{proton}}}{1 + u_V^{\text{proton}} / d_V^{\text{proton}}}$$

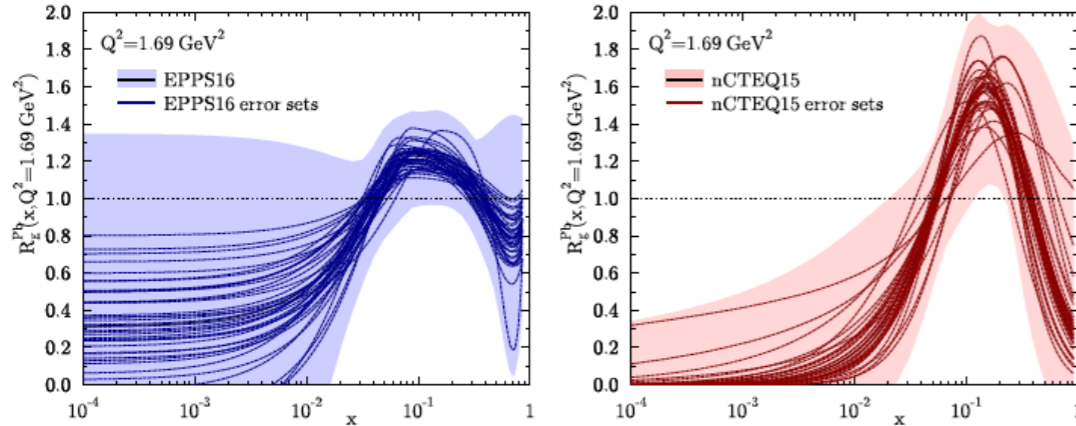
Leading term

"Correction term"

- The effects of flavour separation (i.e. δR_V here) are suppressed in cross sections — but also so in most of the nPDF applications.

$$R^{\text{EPS09}}(x) = \begin{cases} a_0 + a_1(x - x_a)^2 & x \leq x_a \\ b_0 + b_1x^\alpha + b_2x^{2\alpha} + b_3x^{3\alpha} & x_a \leq x \leq x_e \\ c_0 + (c_1 - c_2x)(1 - x)^{-\beta} & x_e \leq x \leq 1 \end{cases}$$

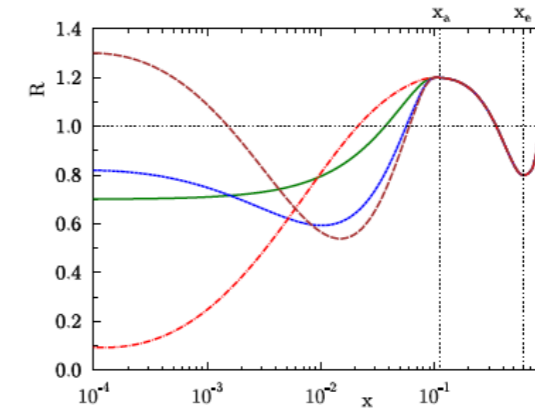
$$R^{\text{nCTEQ15}}(x) = [c_0x^{c_1}(1 - x)^{c_2}e^{c_3x}(1 + e^{c_4x})^{c_5}] / f^P(x)$$



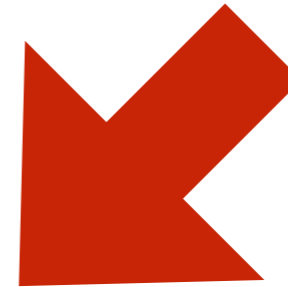
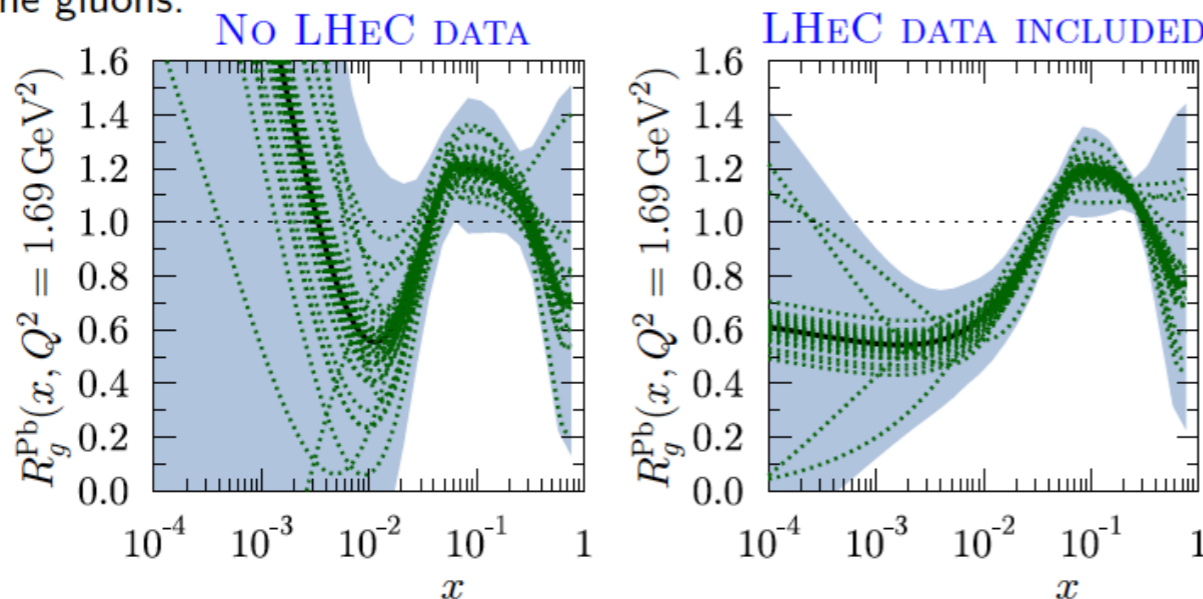
$$R(x \leq x_a) = a_0 + a_1(x - x_a)^2 + \sqrt{x}(x_a - x) \left[a_2 \log\left(\frac{x}{x_a}\right) + a_3 \log^2\left(\frac{x}{x_a}\right) + a_4 \log^3\left(\frac{x}{x_a}\right) + \dots \right]$$

or

$$R(x \leq x_a) = a_0 + (x - x_a)^2 [a_1 + a_2x^\alpha + a_3x^{2\alpha} + a_4x^{3\alpha} + \dots], \alpha \ll 1$$



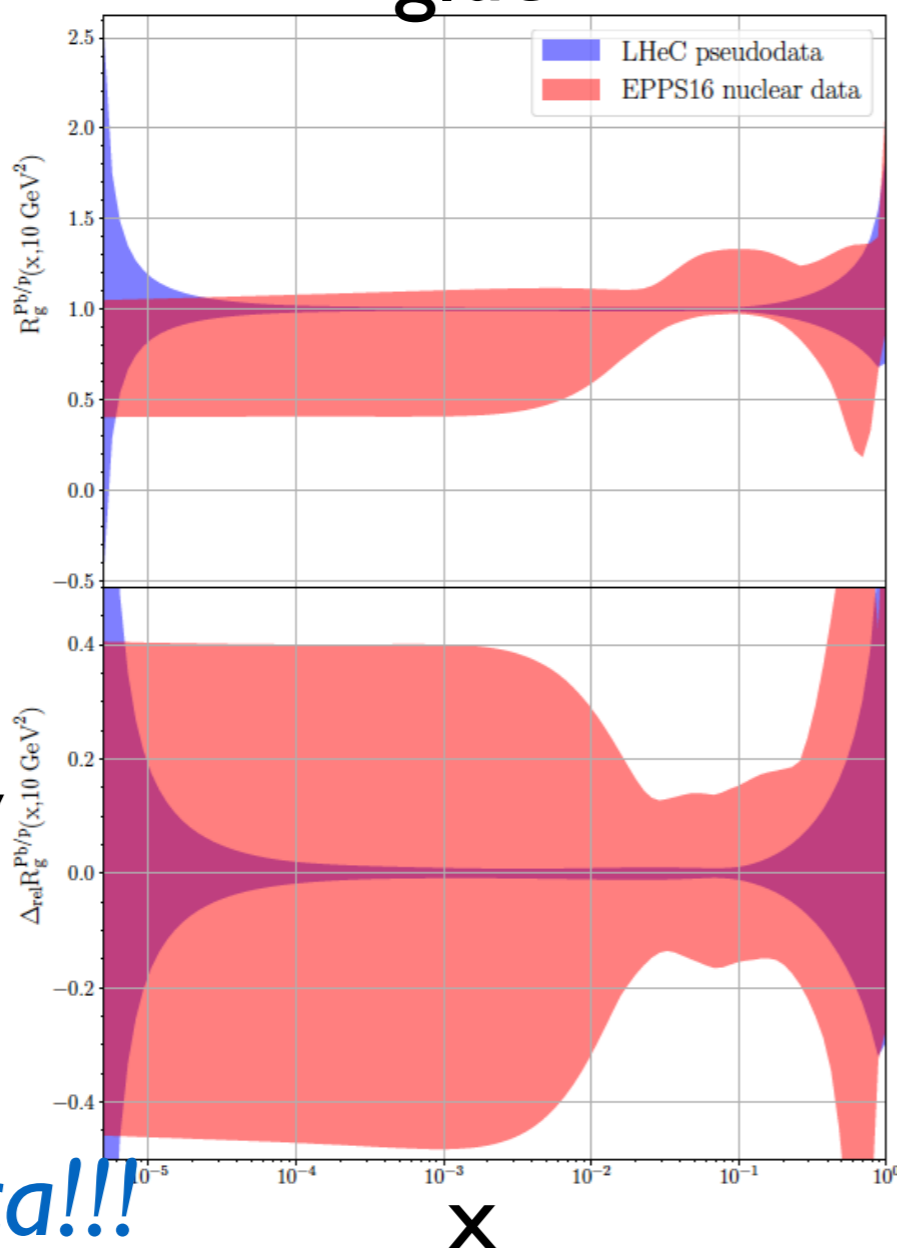
- Would need Monte-Carlo methods to more reliably map the uncertainties
 \Rightarrow Further work needed
- Despite all the shortcomings, a typical result using a more flexible form for the gluons:



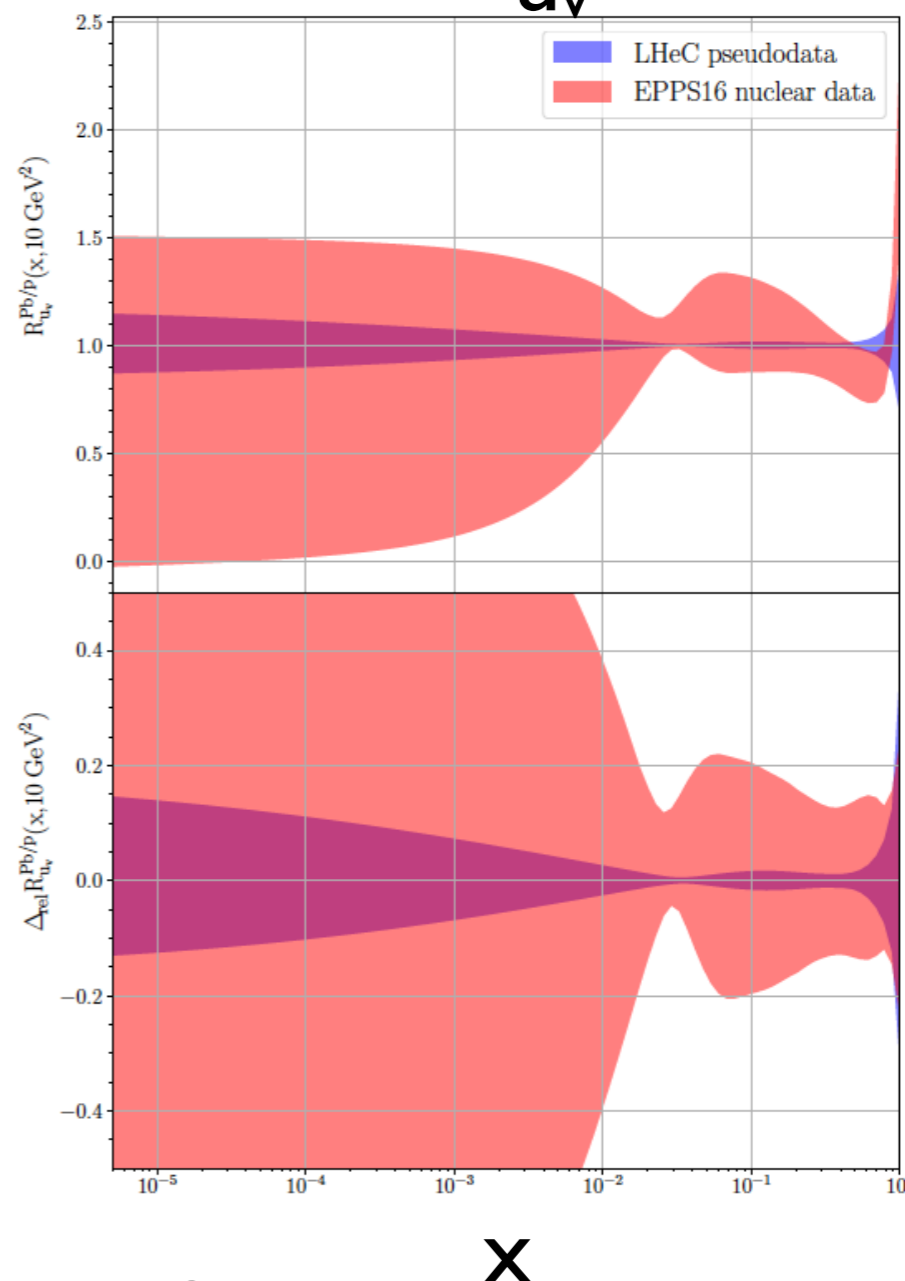
- Proof of principle: Pb-only PDFs with the same pseudodata as before, using xFitter: HERAPDF2.0 parametrisation, NNLO, RTOPT mass scheme, to estimate the ‘ultimate’ precision (P.Agostini, NA):

Ratios

glue

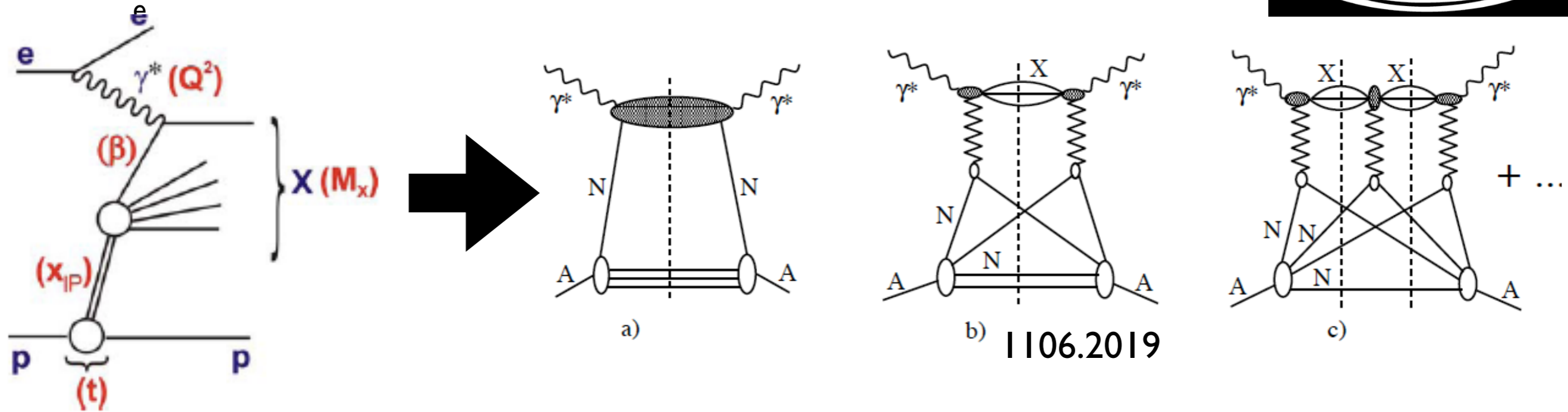


U_V

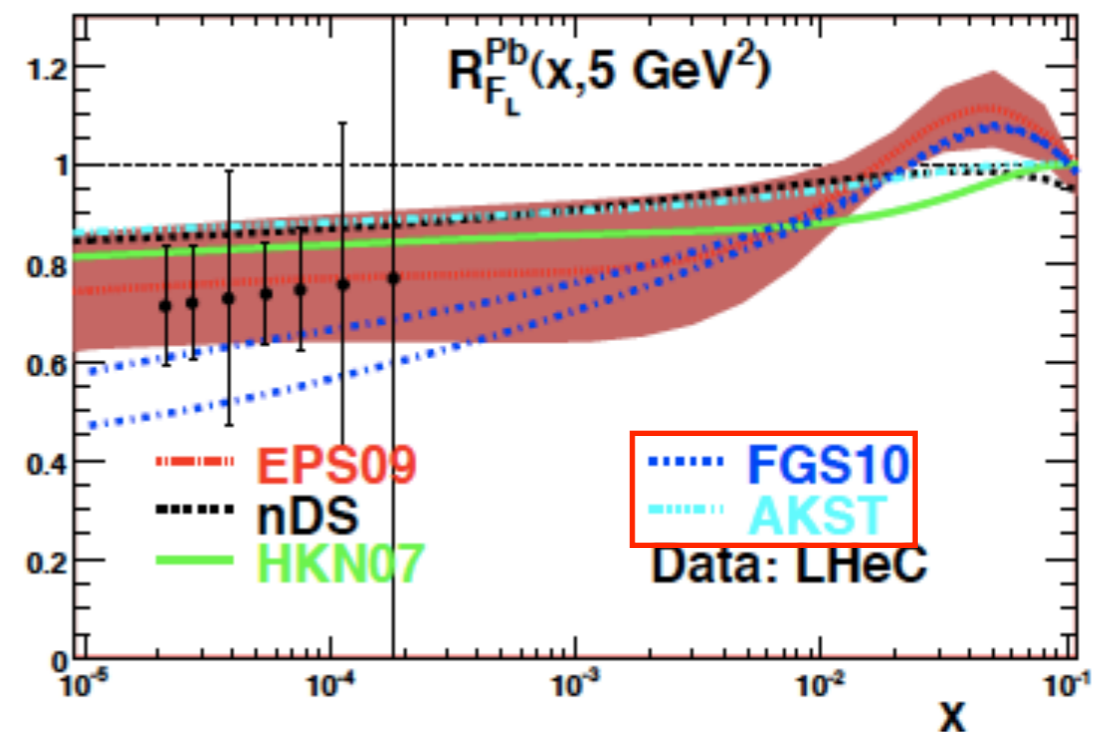
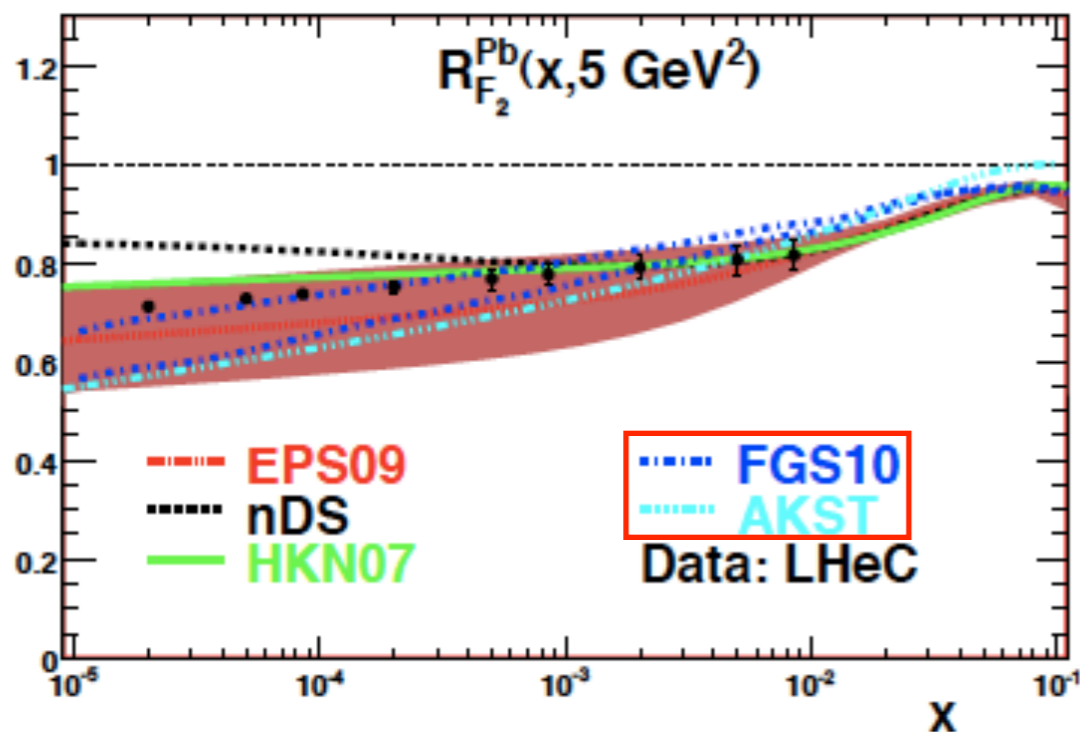


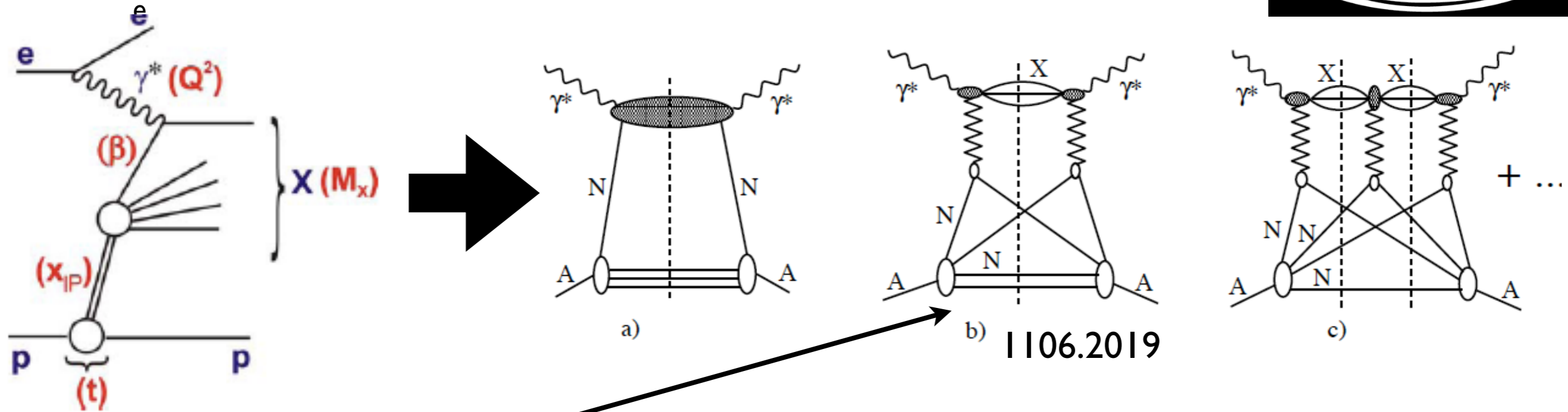
Uncertainty
on ratios

Thanks Voica!!!

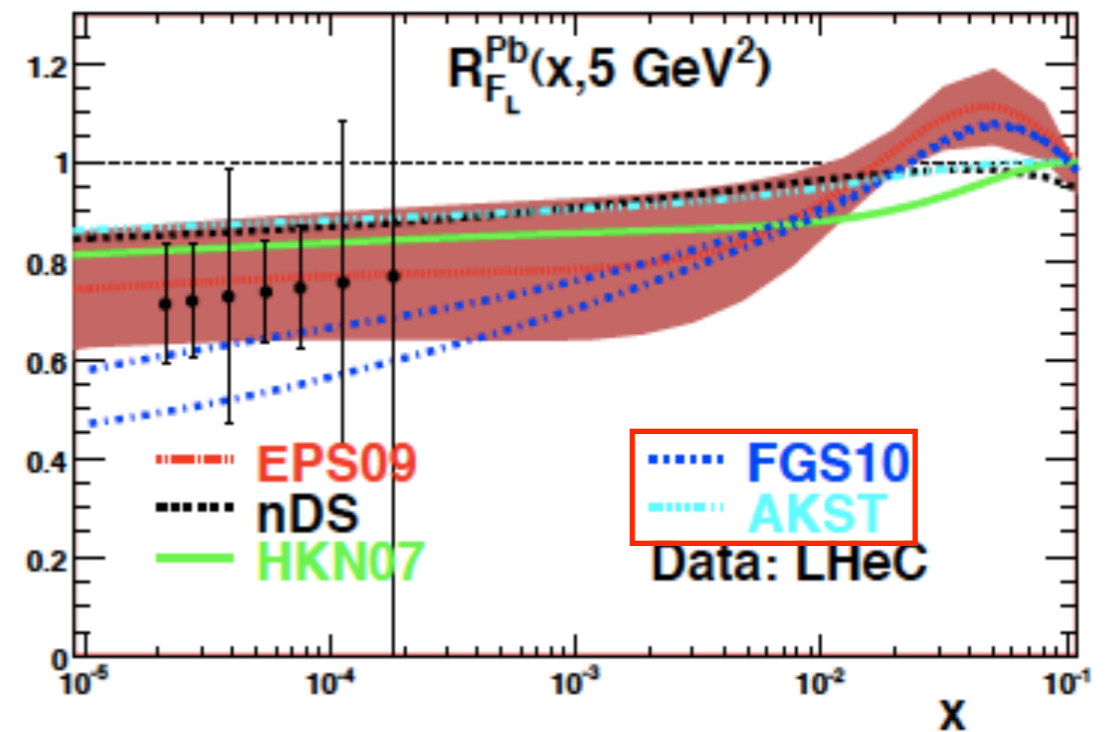
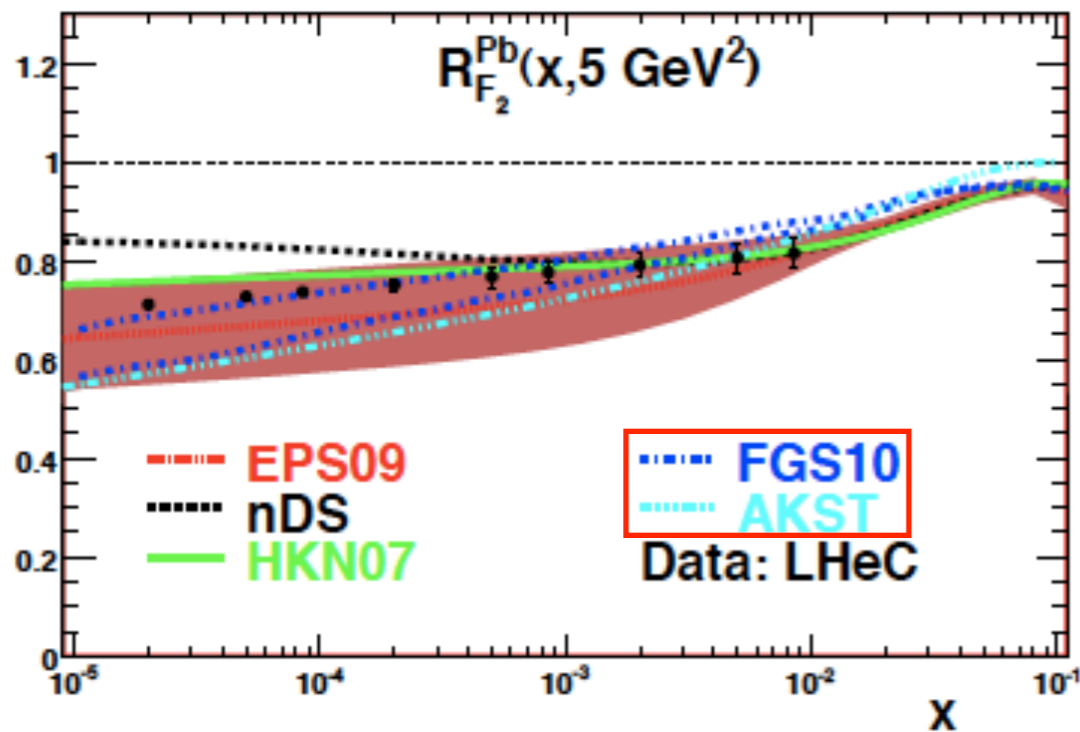


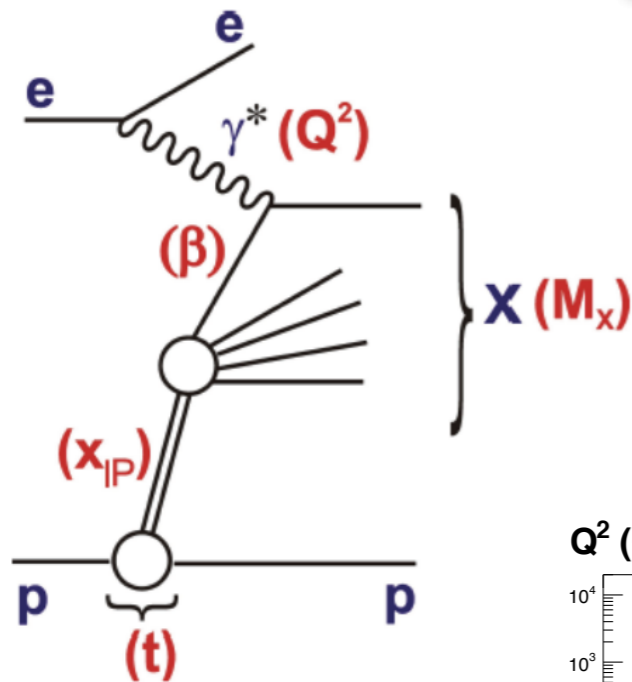
- Diffraction is linked to nuclear shadowing through basic QFT (Gribov): eD to test and set the ‘benchmark’ for new effects.



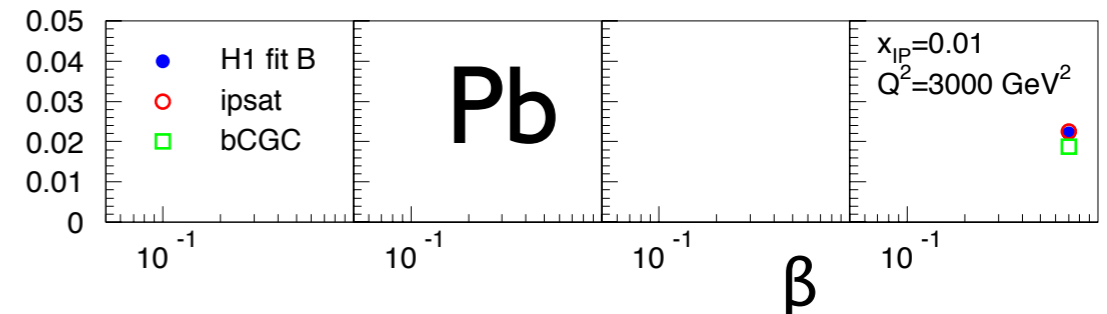
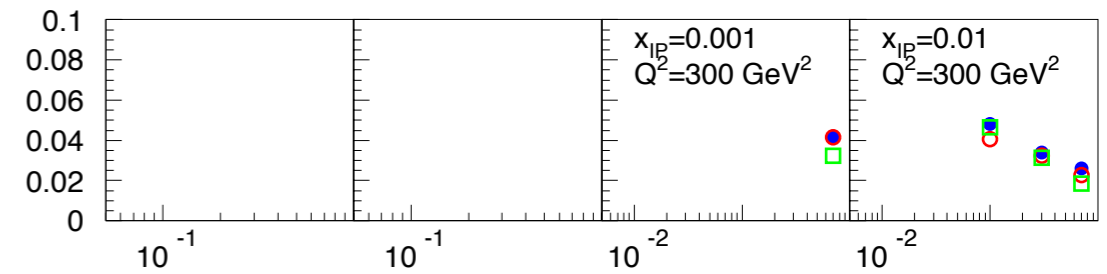
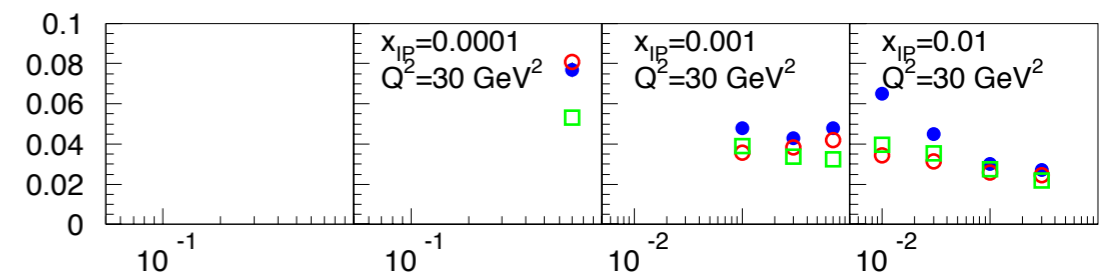
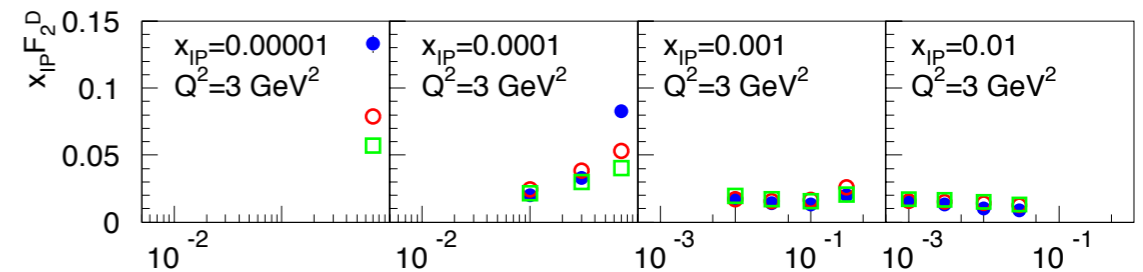
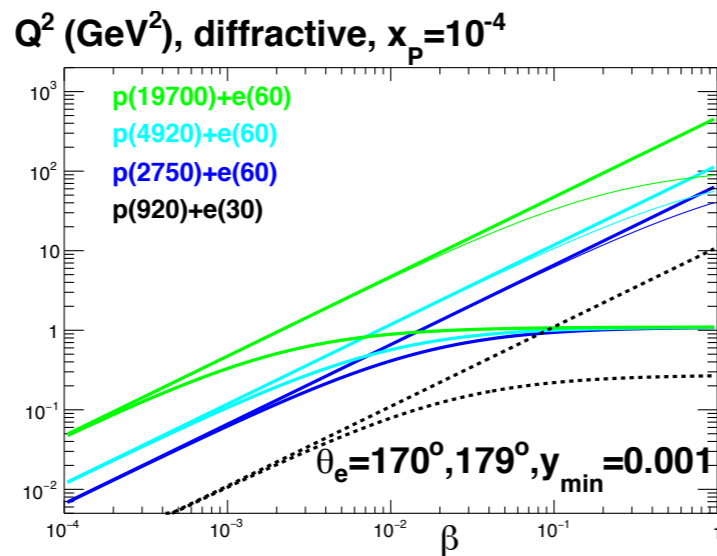
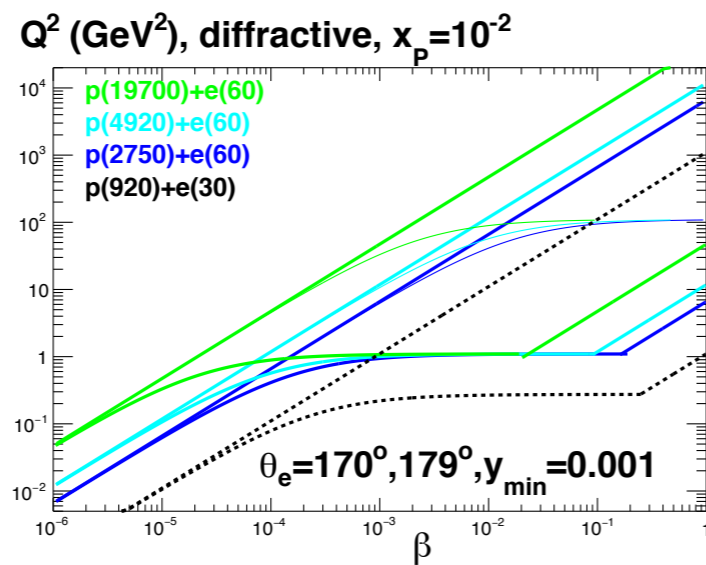


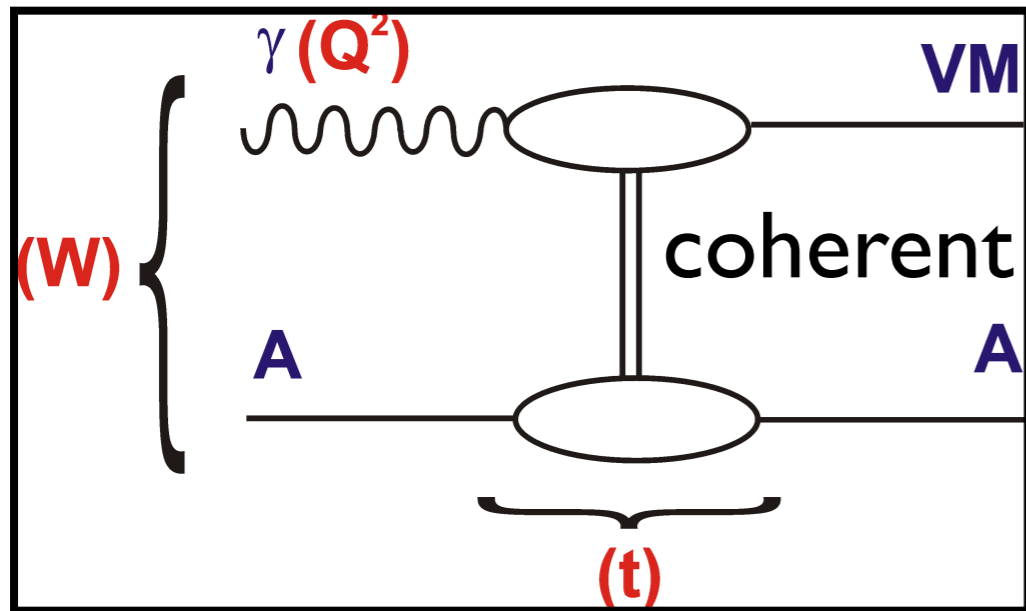
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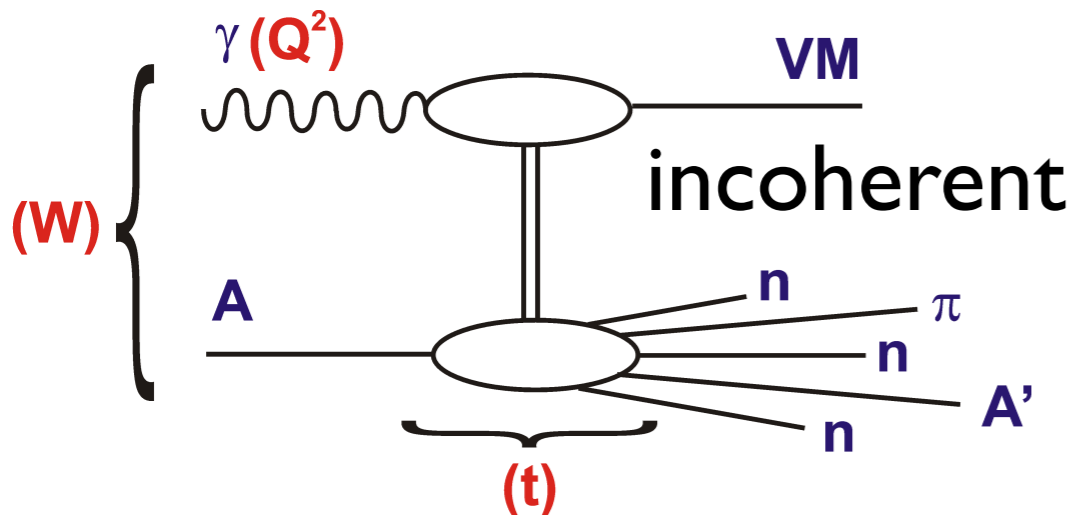
- Large increase in the M^2 (diffractive heavy states up to ~ 0.5 TeV), $x_P = (M^2 - t + Q^2) / (W^2 + Q^2)$, $\beta = x/x_P$ region studied.
- First determination of nDPDFs.



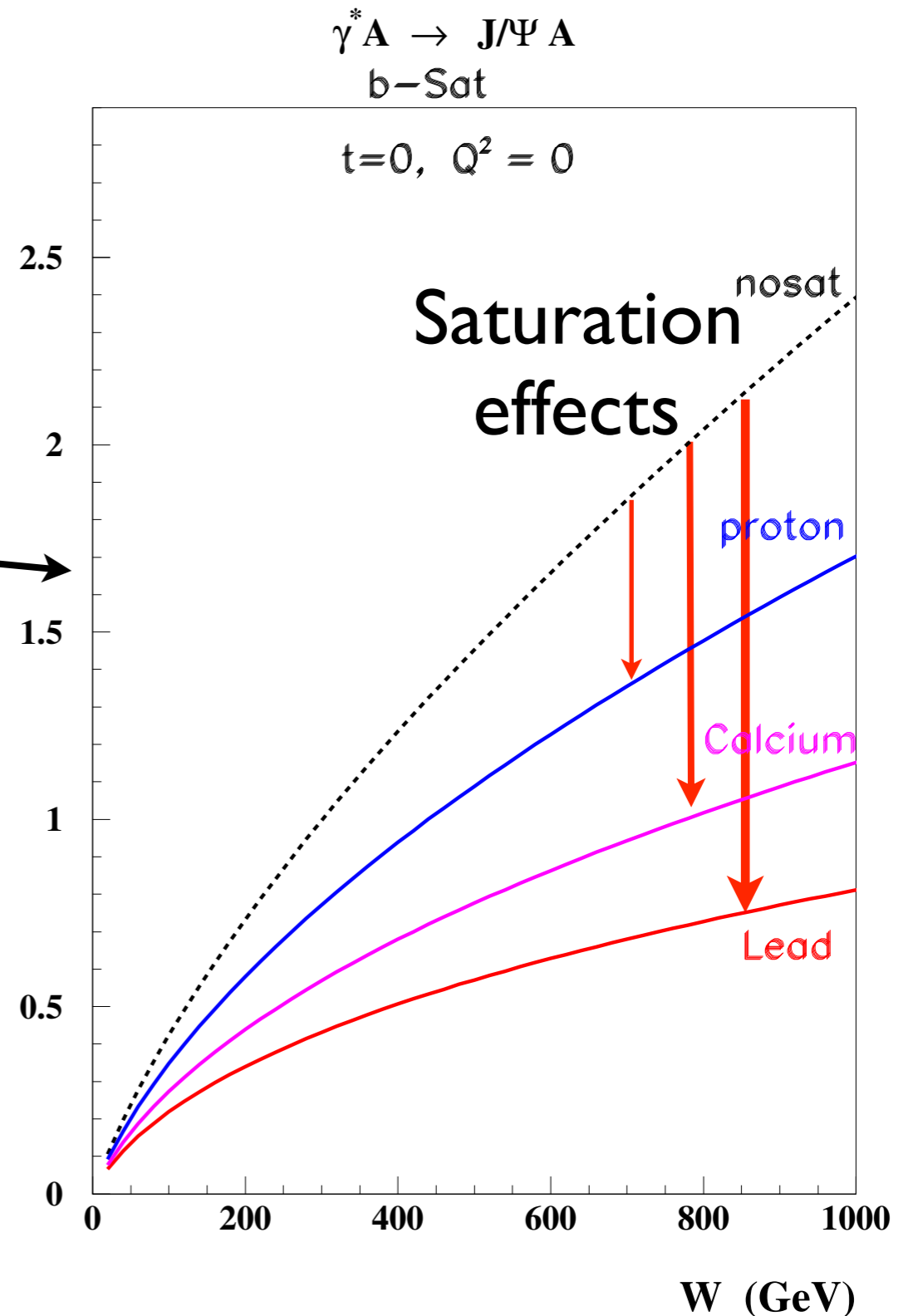


- For the **coherent case**, predictions available.

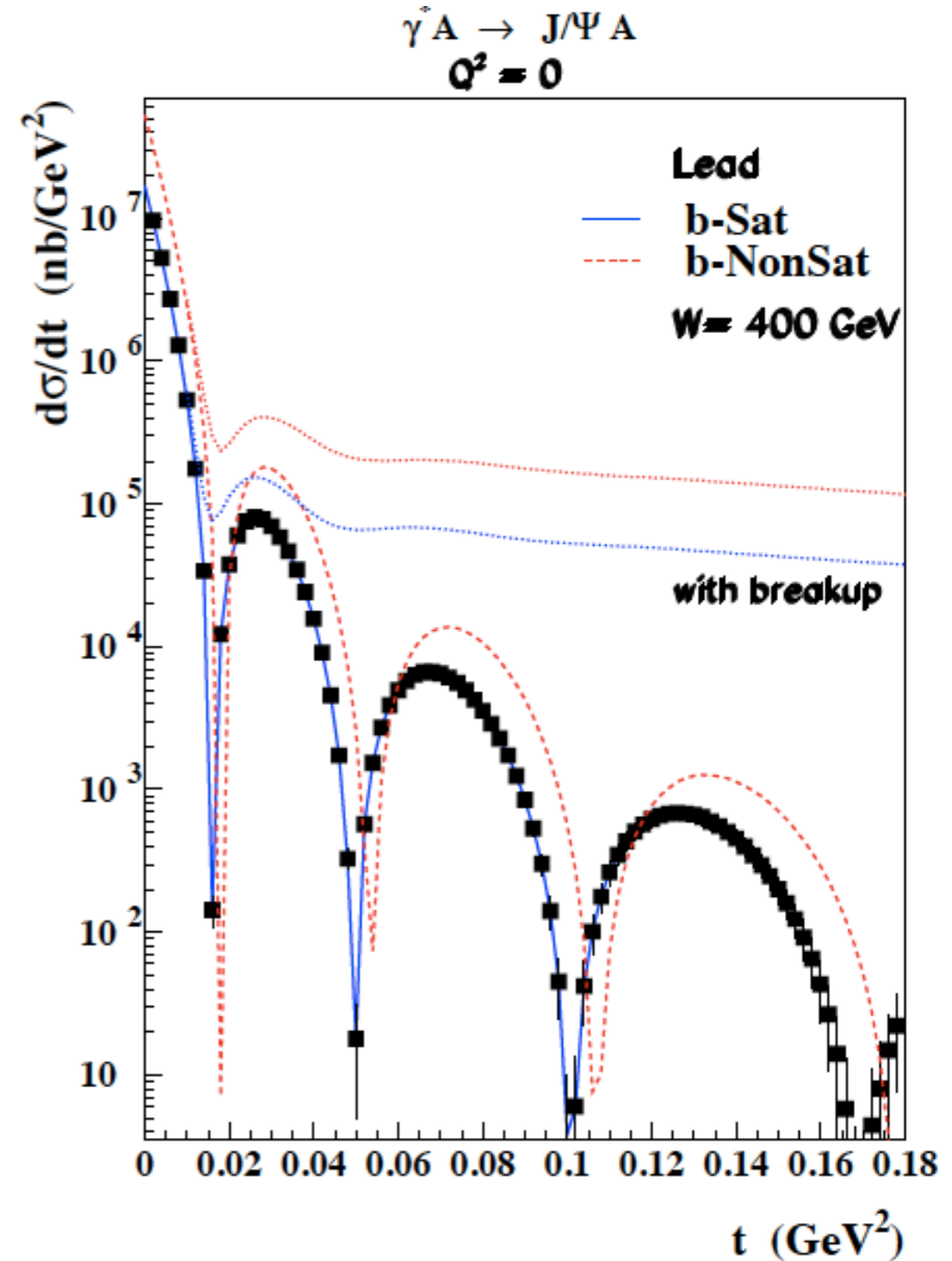
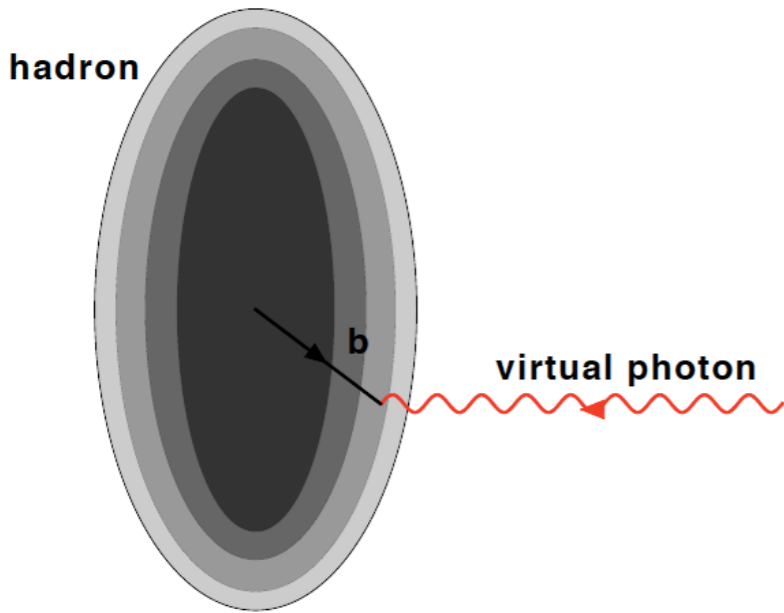
- **Challenging** experimental problem (neutron tagging in ZDC?).



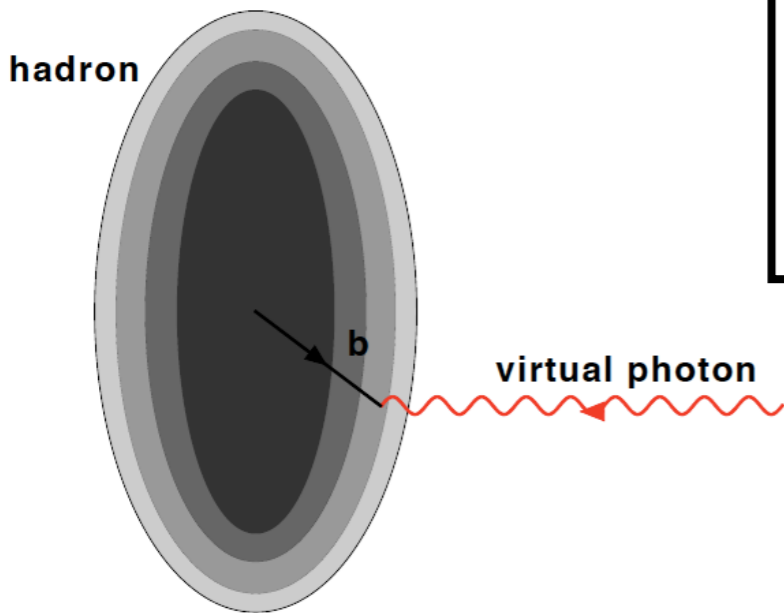
$1/A^2 d\sigma/dt$ ($\mu\text{b}/\text{GeV}^2$)



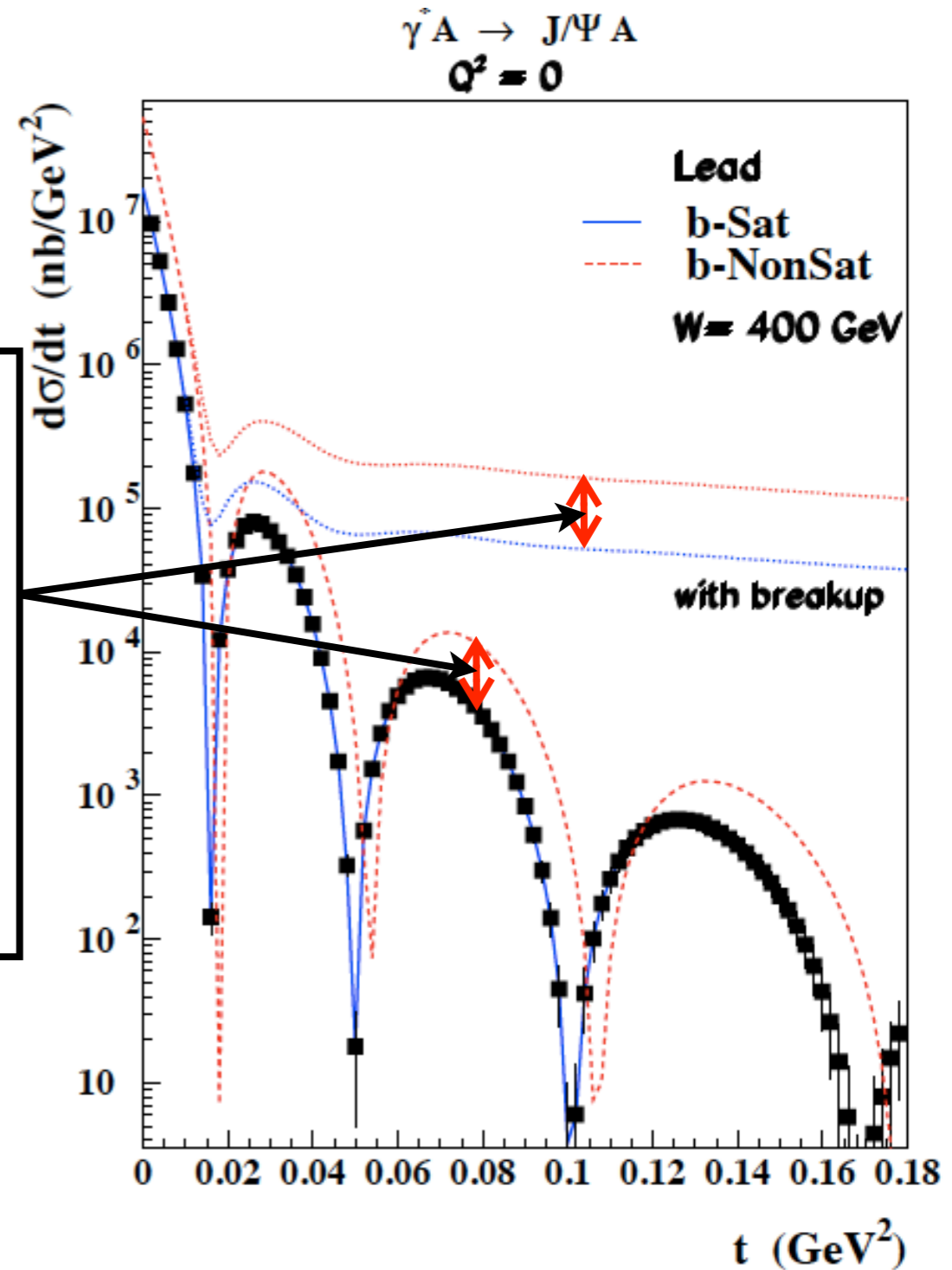
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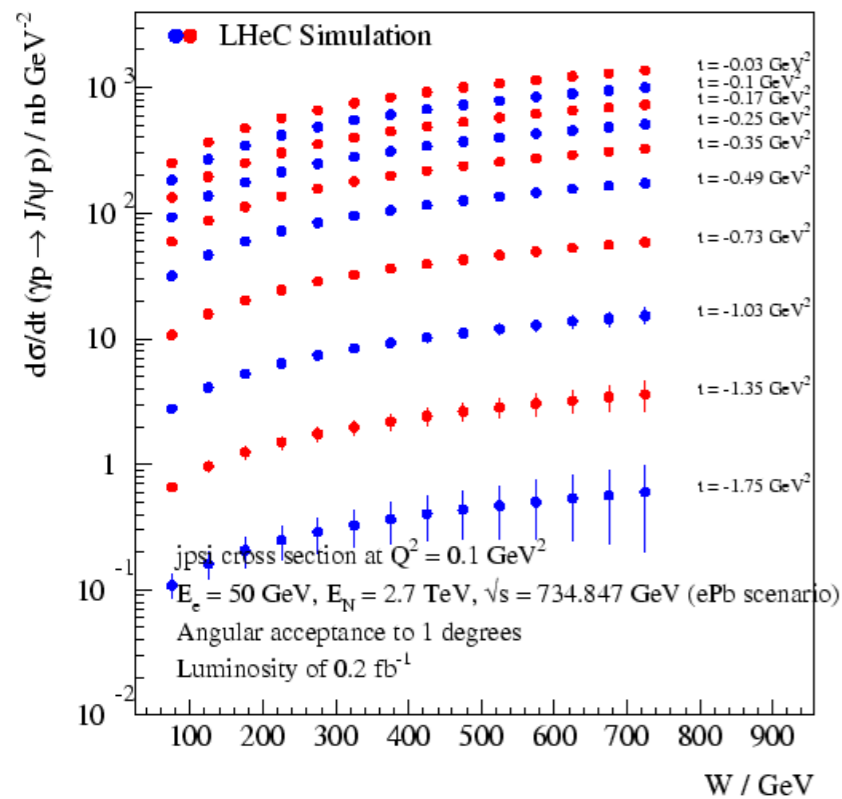
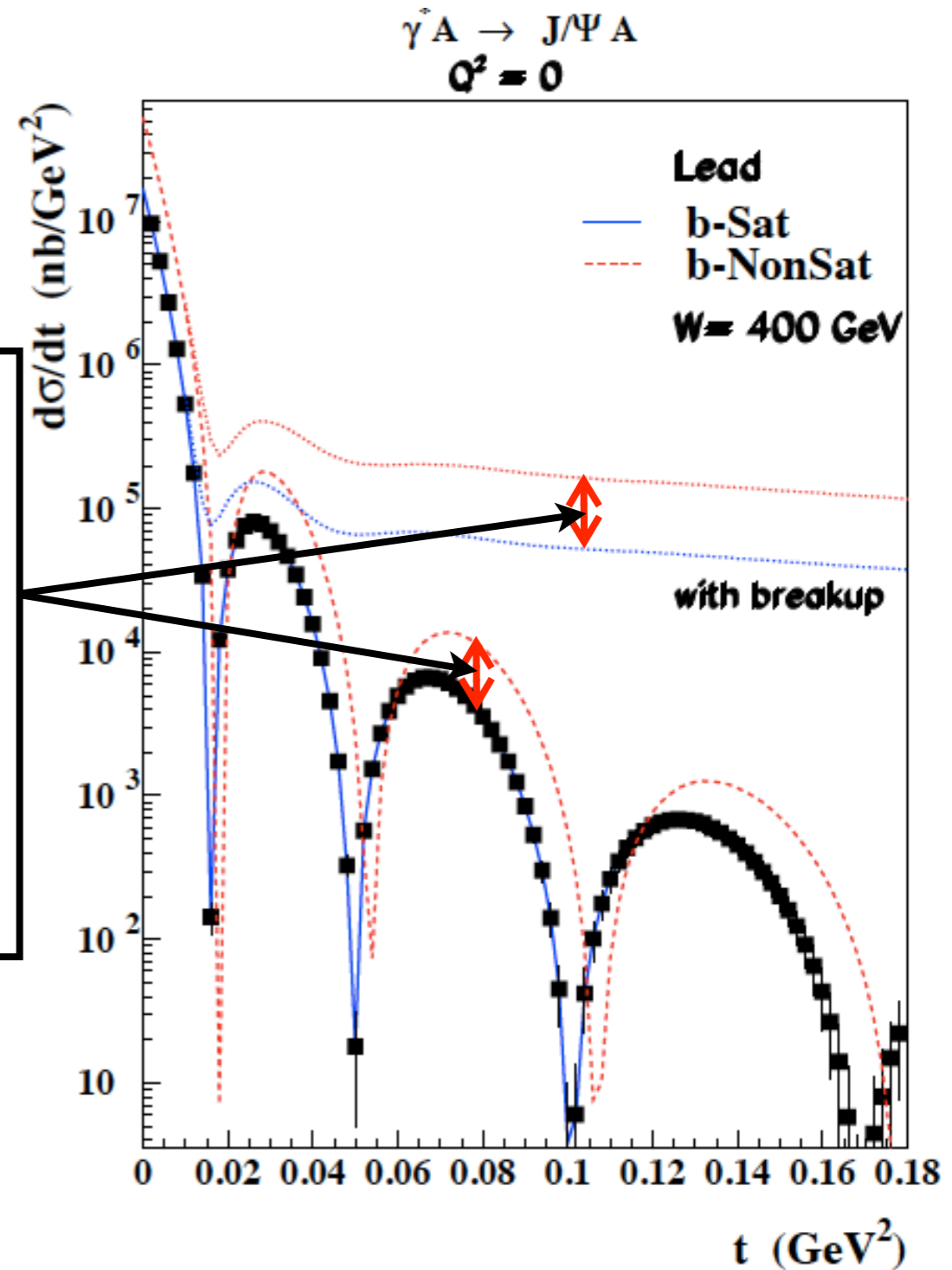


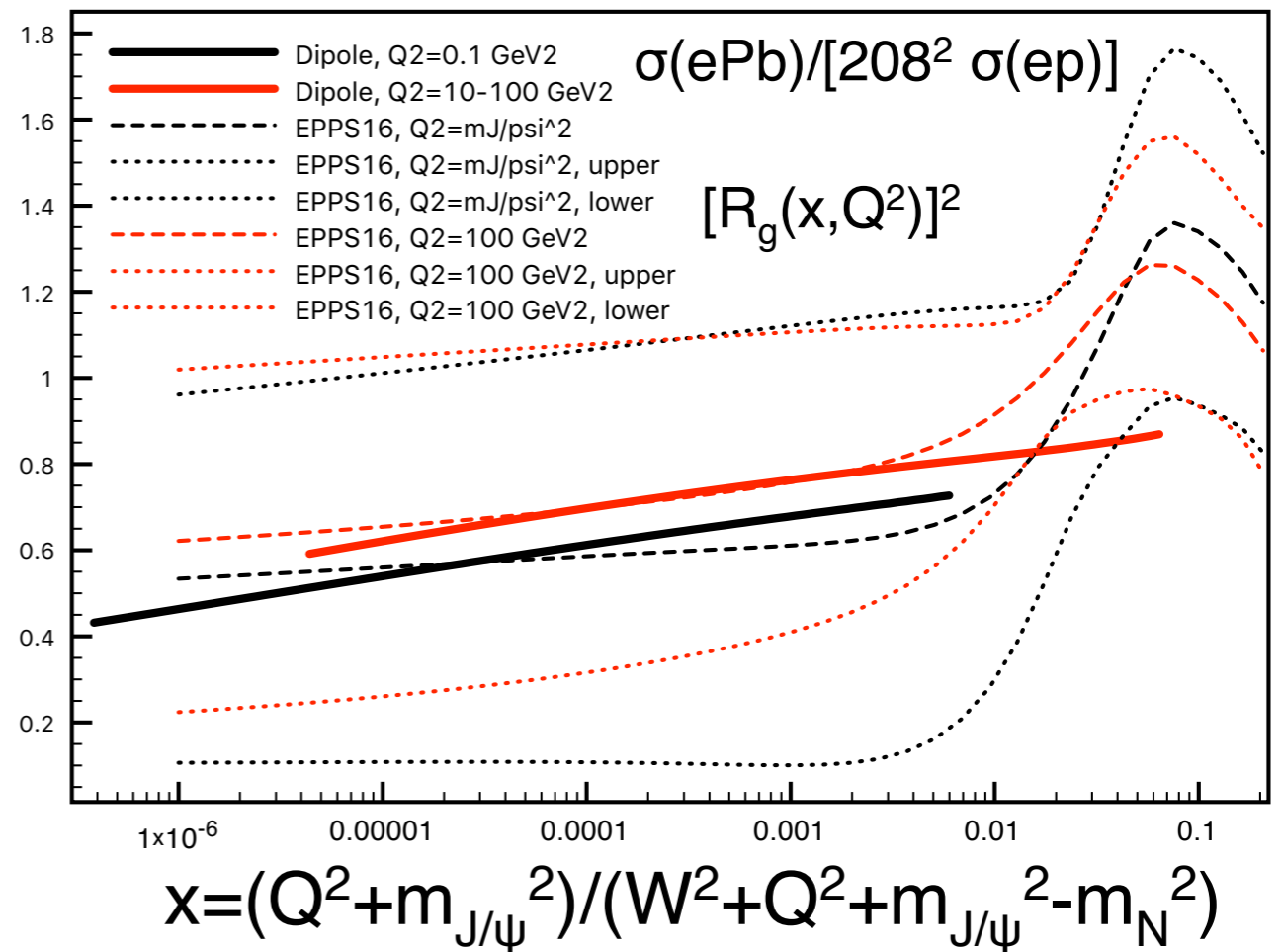
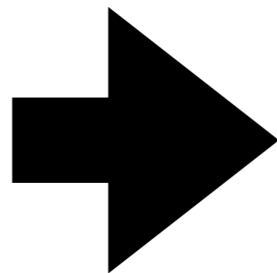
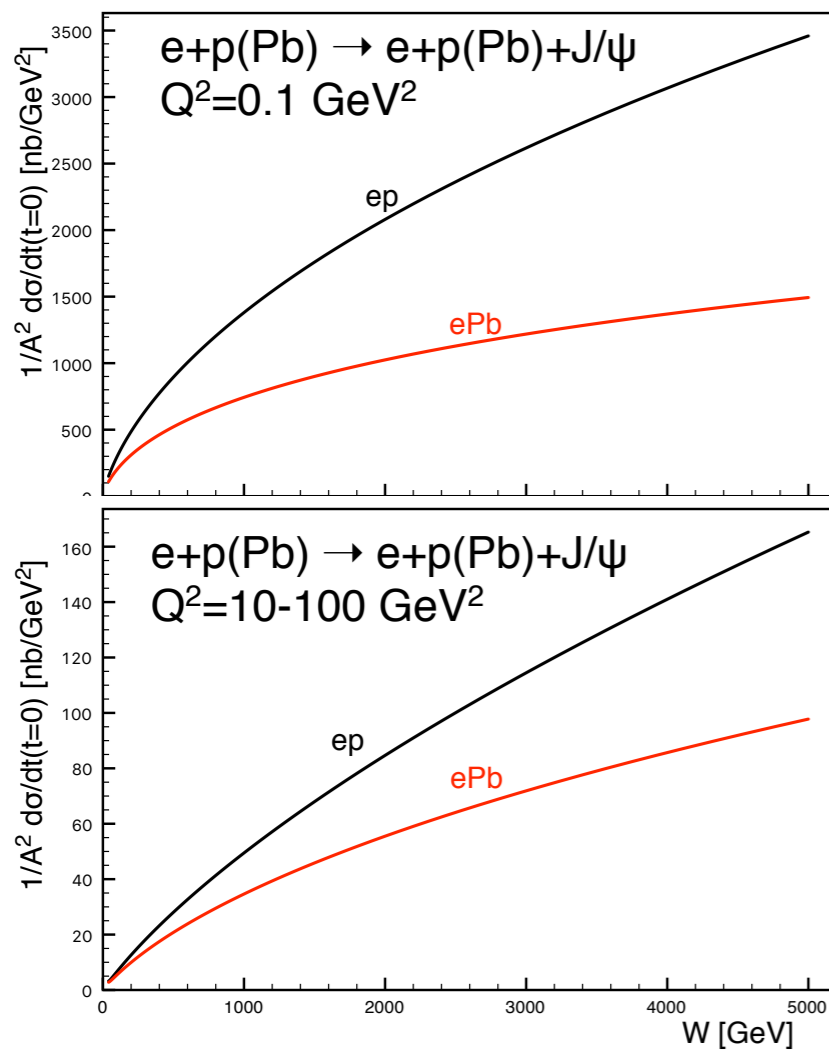
- Large extent in t with good precision.
- **Sizable saturation effects expected.**



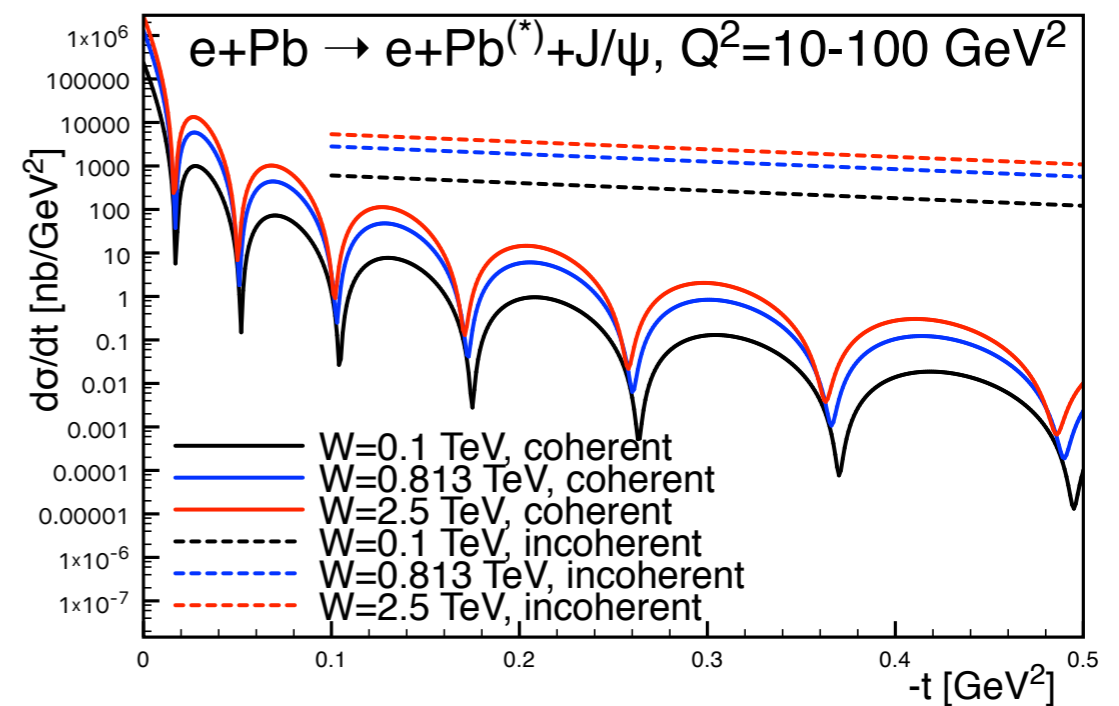
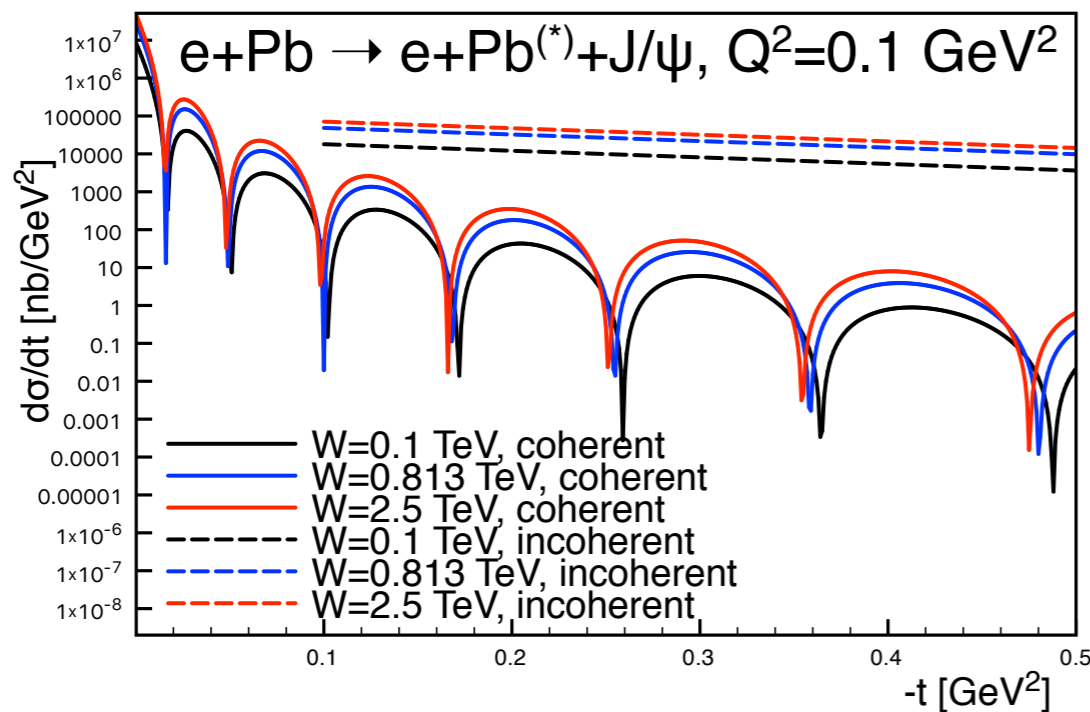
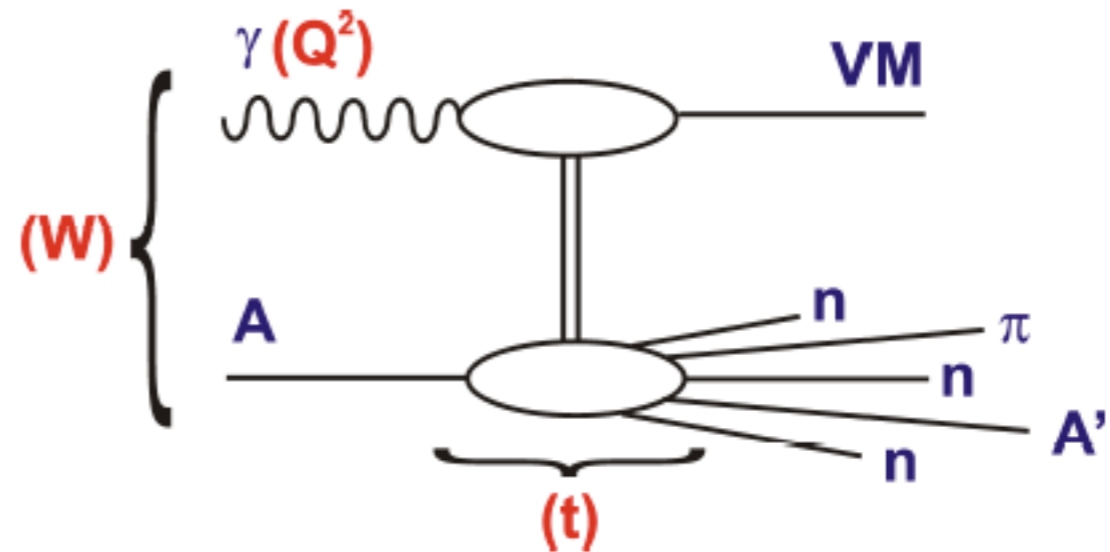
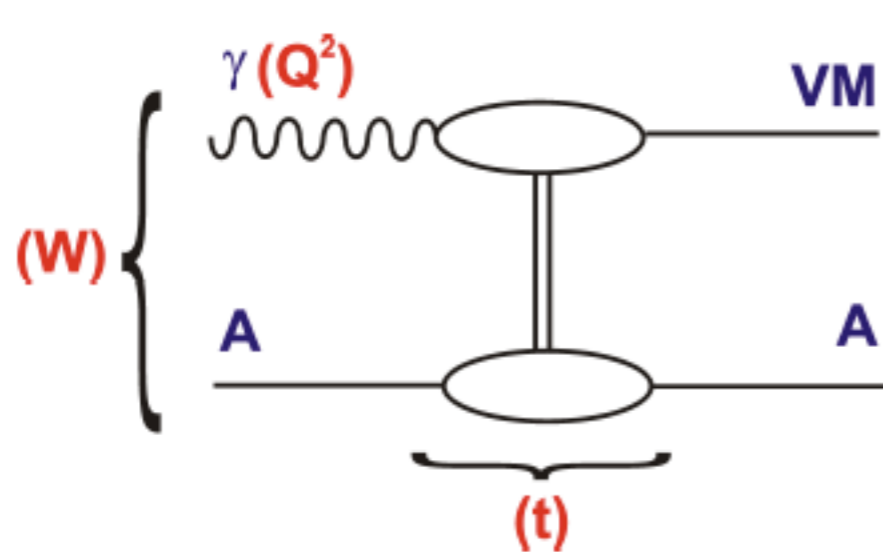
- t-differential measurements give a gluon transverse mapping of the hadron/nucleus: gluon GPDs.

- Large extent in t with good precision.
- **Sizable saturation effects expected.**



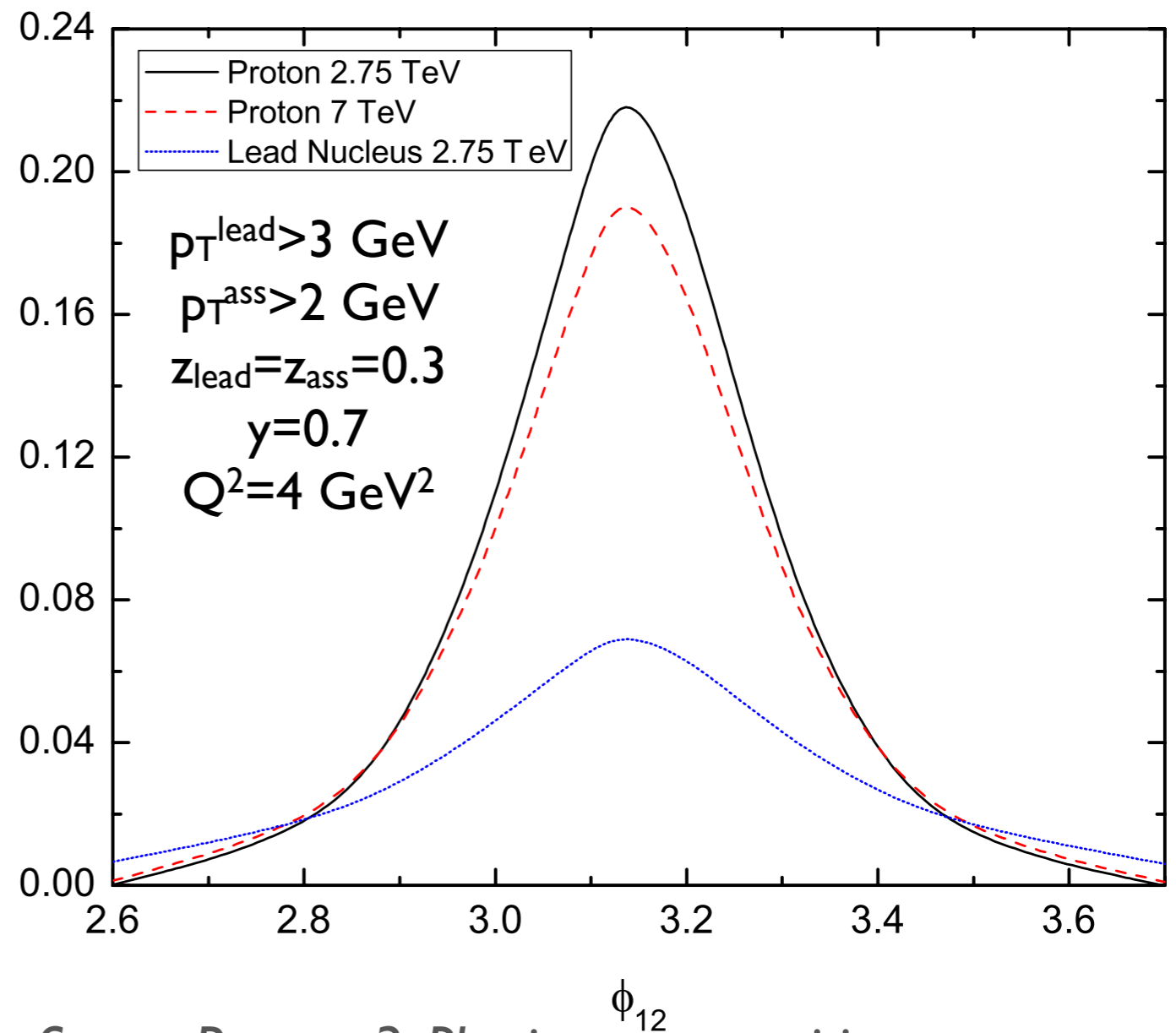
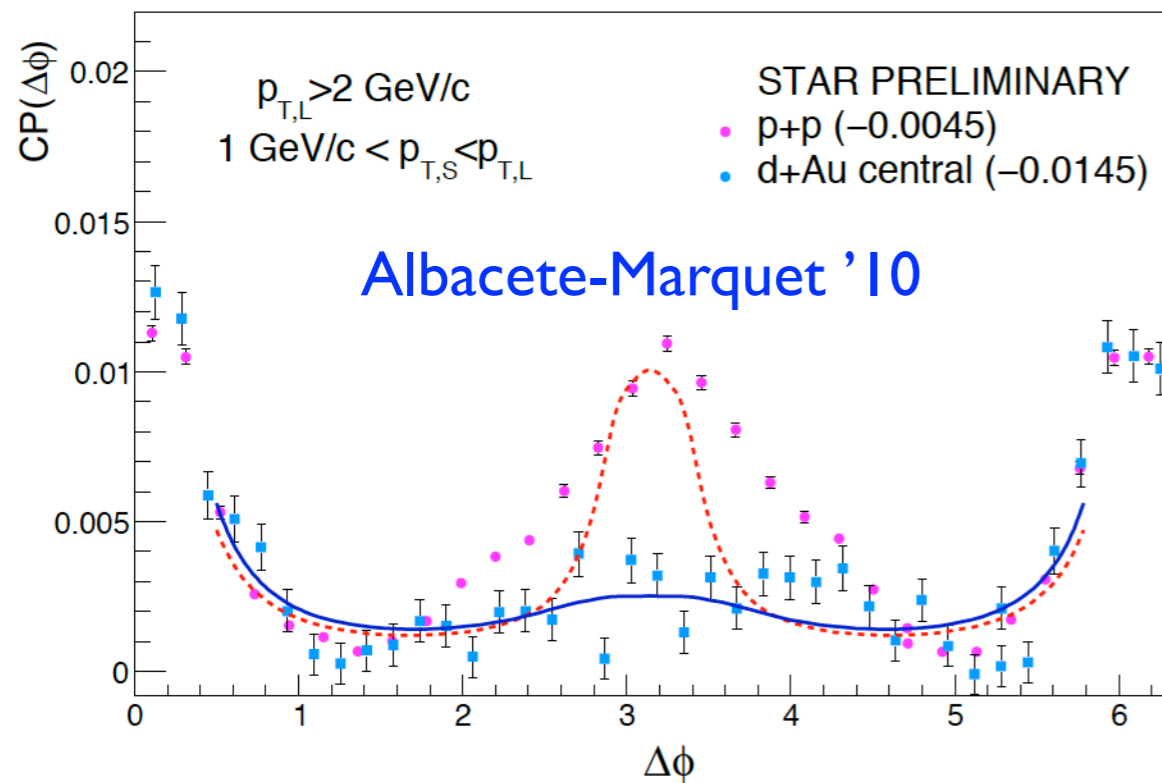
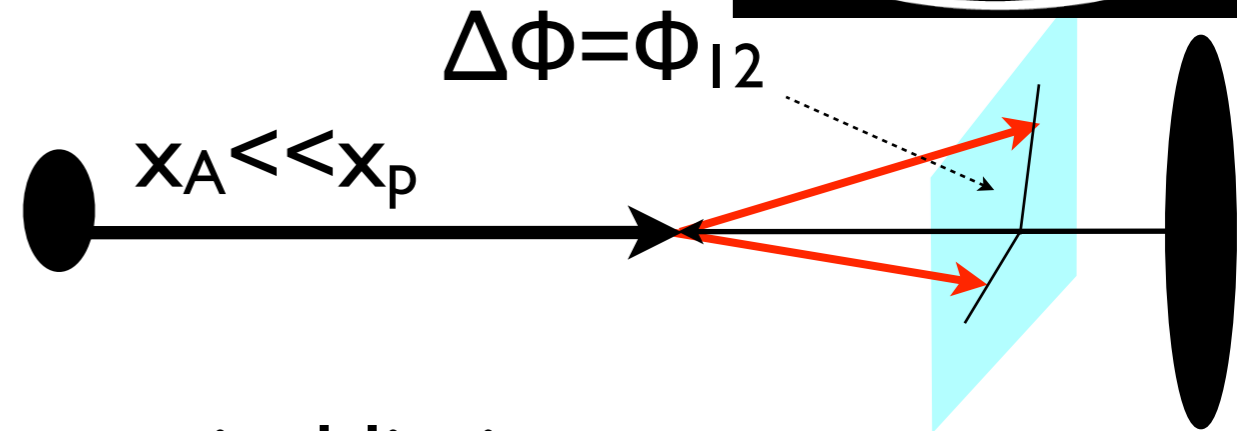


Mantysaari, Paukkunen

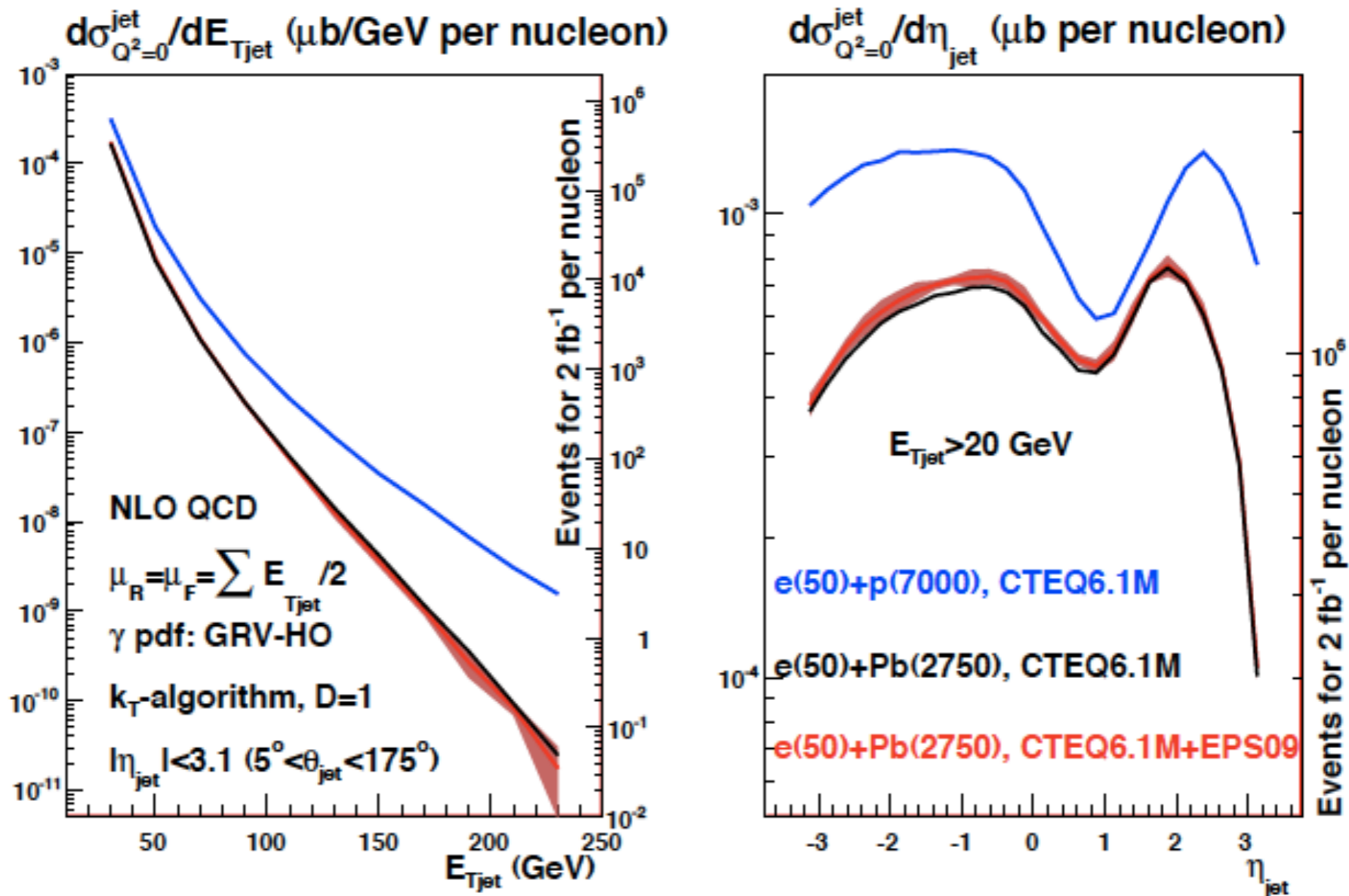


Mantysaari, IOP.1988, IPsat

- Dihadron **azimuthal decorrelation**: currently discussed at RHIC as suggestive of saturation.
- It could be studied far from the kinematical limits.

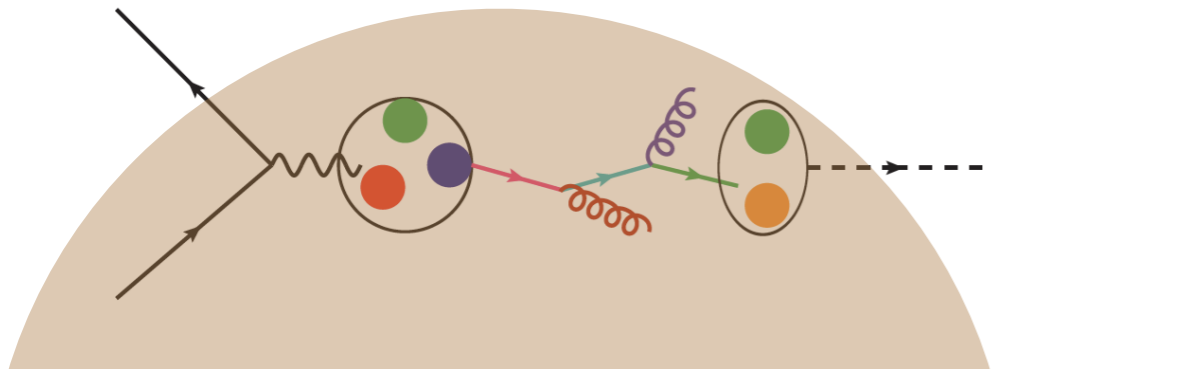


$$C(\phi_{12}) = \frac{1}{\frac{d\sigma(\gamma^* N \rightarrow h_1 X)}{dz_{h_1}}} \frac{d\sigma(\gamma^* N \rightarrow h_1 h_2 + X)}{dz_{h_1} dz_{h_2} d\phi_{12}}$$

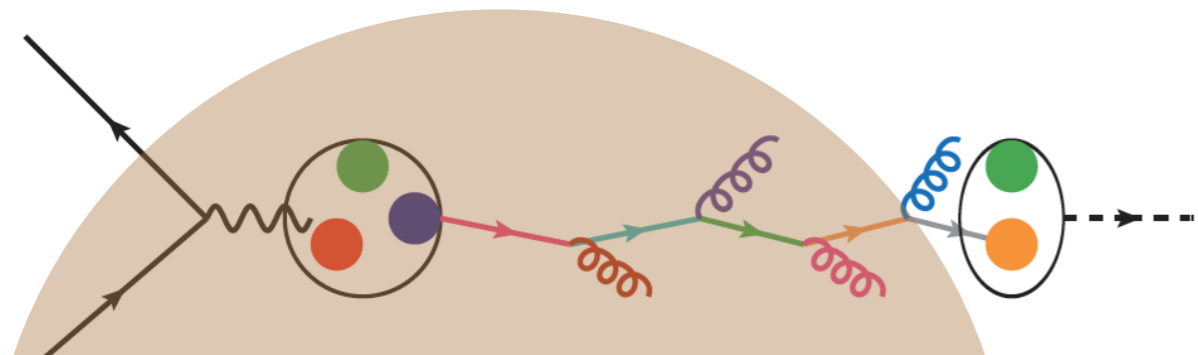


- **Jets: large E_T even in eA.**
- Useful for studies of parton dynamics in nuclei (hard probes), and for photon structure.
- Background subtraction, detailed reconstruction pending.

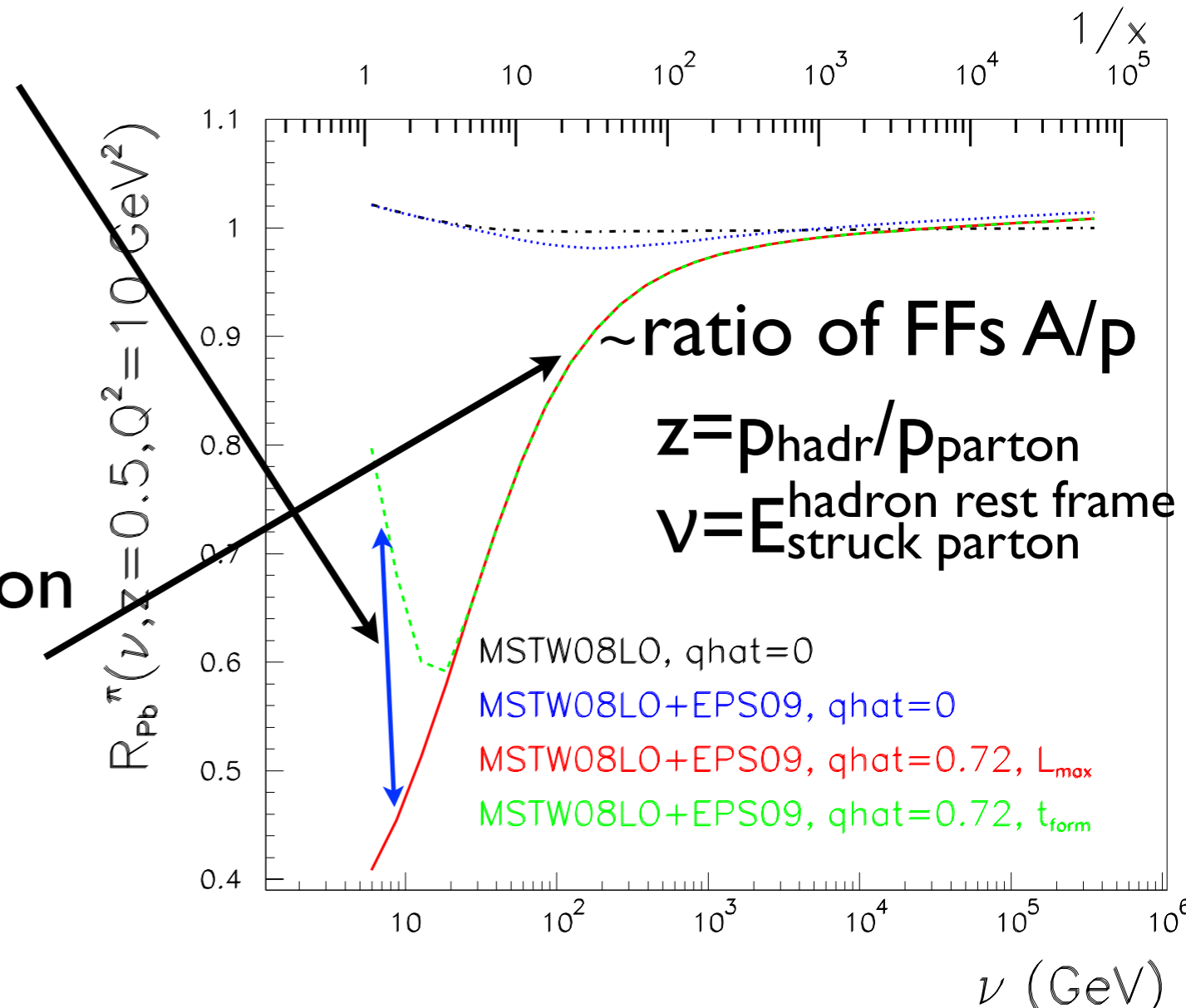
- **Dynamics of QCD radiation and hadronization.**
- Most relevant for particle production off nuclei and for QGP analysis in HIC.
- **Low energy:** hadronization inside \rightarrow formation time, (pre-)hadronic absorption,...



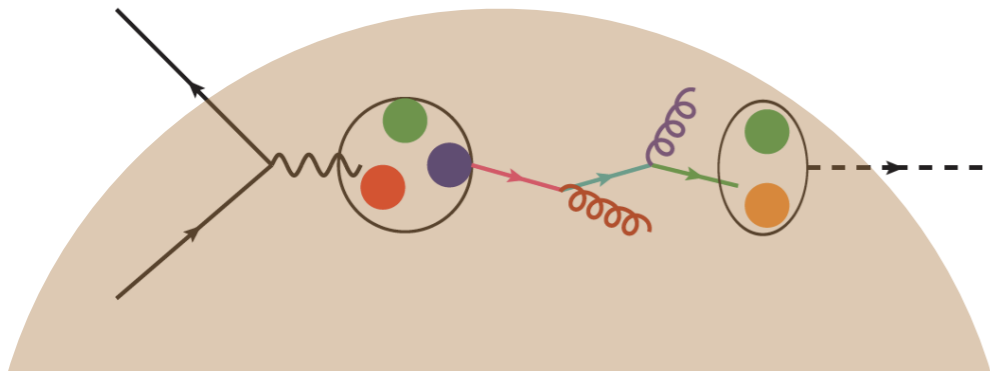
- **High energy:** partonic evolution altered in the nuclear medium.



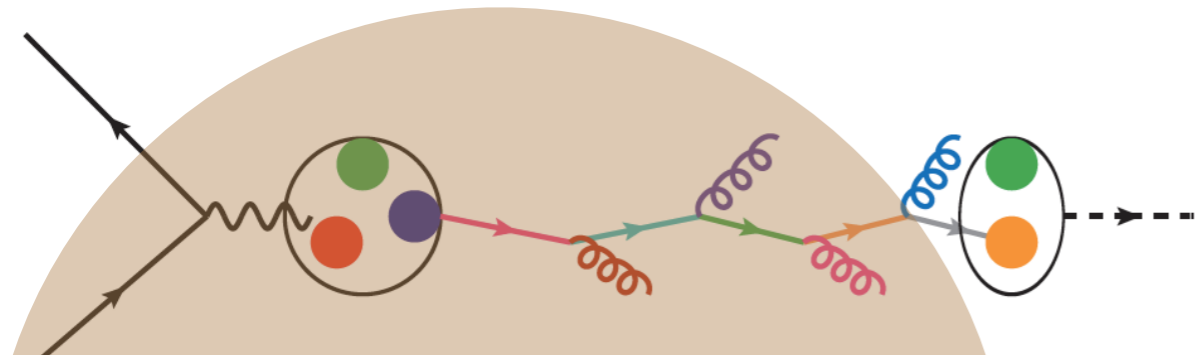
$$R_A^h(z, \nu) = \frac{1}{N_A^e} \frac{dN_A^h(z, \nu)}{d\nu dz} \bigg/ \frac{1}{N_D^e} \frac{dN_D^h(z, \nu)}{d\nu dz}$$



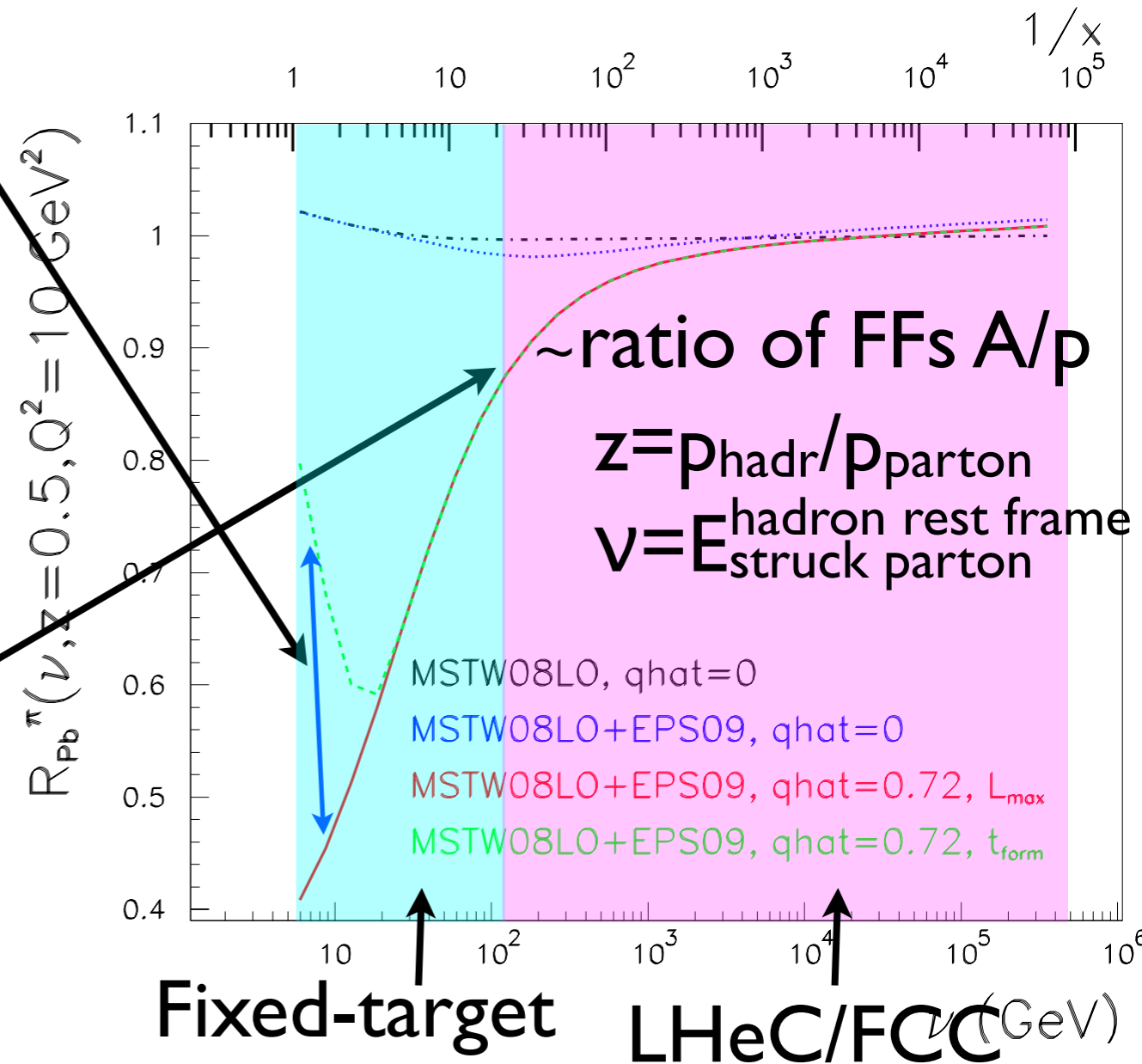
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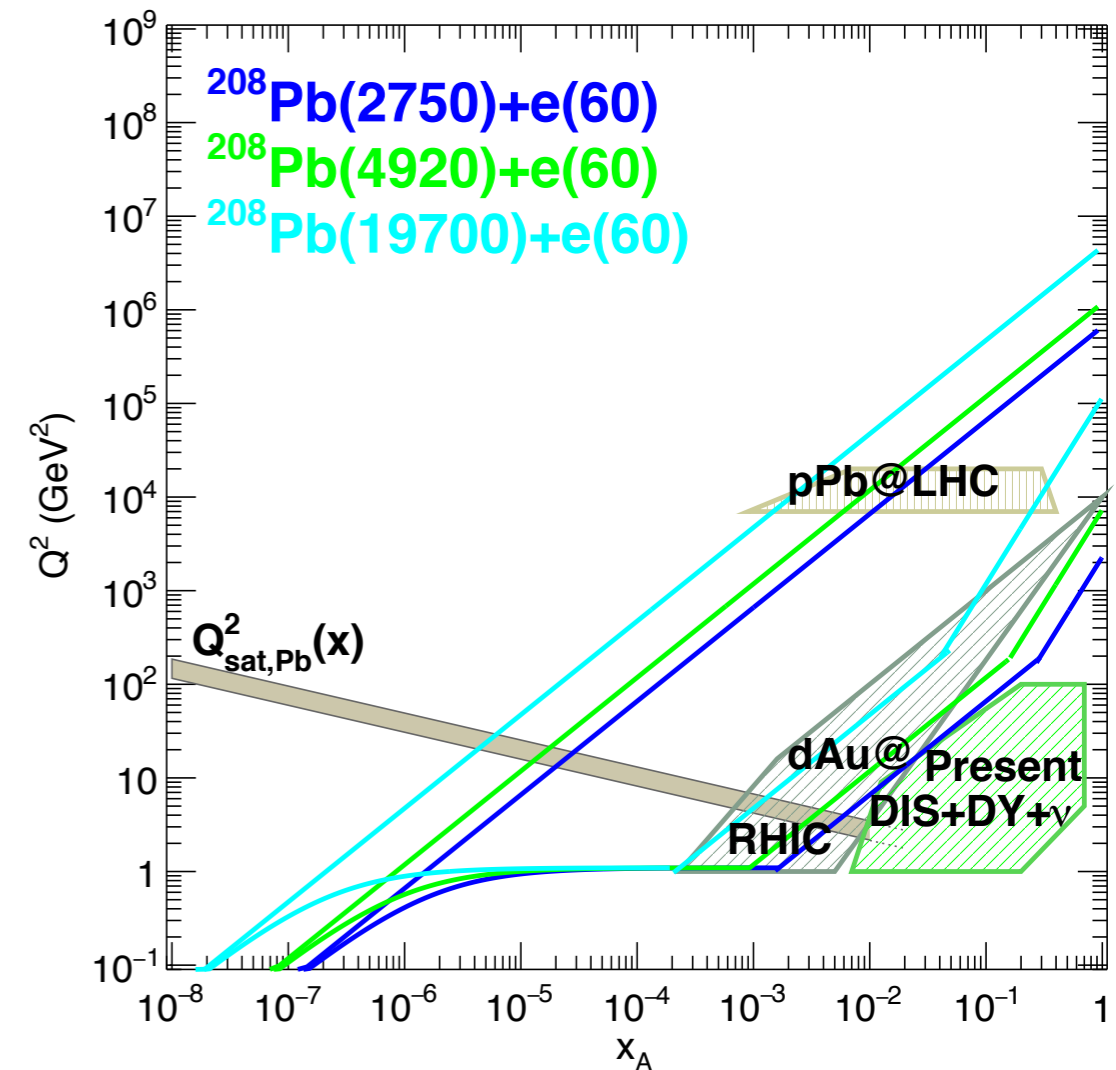


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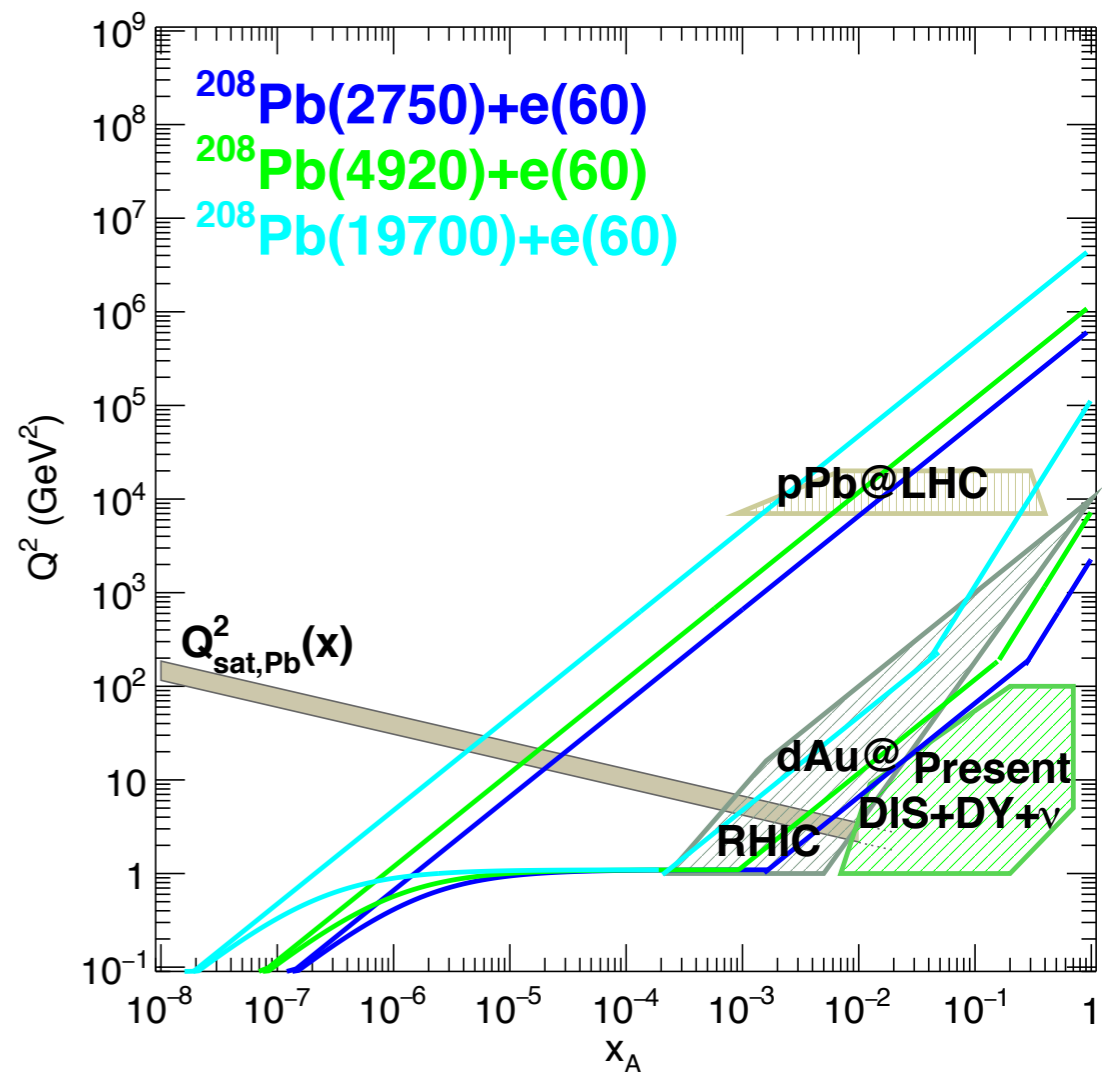


- Several items have to be done/ improved for the CDR update (2018):
 - DGLAP fits, extend to FCC-eh.
 - Nuclear GPDs: nuclear DVCS, etc.
 - Studies on diffraction: separation of coherent from incoherent, nDPDFs, dijets,...
 - Monte Carlo generators.
 - Large x, EW bosons, Higgs.
 - eD.
 - Jet reconstruction, angular decorrelation,...
 - ...

☞ *Manpower is the bottleneck (EIC?): everybody is welcome!!!!*



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Many thanks for your attention!!!

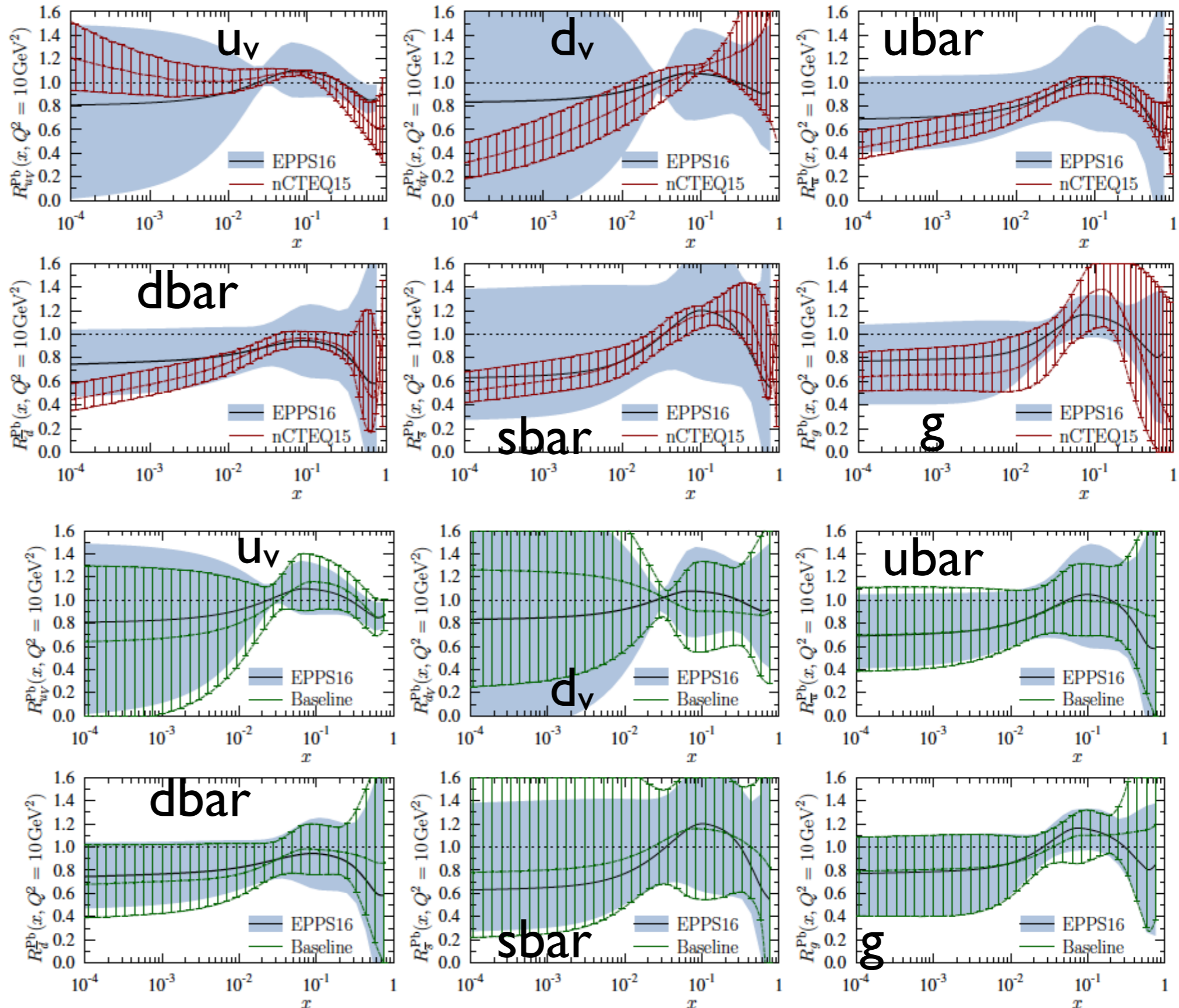
Backup:

SET	HKN07 PRC76 (2007) 065207	EPS09 JHEP 0904 (2009) 065	DSSZ PRD85 (2012) 074028	nCTEQ15 PRD93 (2016) 085037	KA15 PRD93 (2016) 014036	EPPS16 EPJC C77 (2017)163
eDIS	✓	✓	✓	✓	✓	✓
DY	✓	✓	✓	✓	✓	✓
π^0	✗	✓	✓	✓	✗	✓
vDIS	✗	✗	✓	✗	✗	✓
pPb	✗	✗	✗	✗	✗	✓
# data	1241	929	1579	740	1479	1811
order	NLO	NLO	NLO	NLO	NNLO	NLO
proton PDF	MRST98	CTEQ6.1	MSTW2008	~CTEQ6.1	JR09	CT14NLO
mass scheme	ZM-VFNS	ZM-VFNS	GM-VFNS	GM-VFNS	ZM-VFNS	GM-VFNS
comments	$\Delta\chi^2=13.7$, ratios, <u>no EMC for gluons</u>	$\Delta\chi^2=50$, ratios, <u>huge shadowing-antishadowing</u>	$\Delta\chi^2=30$, ratios, <u>medium-modified FFs for π^0</u>	$\Delta\chi^2=35$, PDFs, <u>valence flavour sep., not enough sensitivity</u>	PDFs, <u>deuteron data included</u>	$\Delta\chi^2=52$, flavour sep., ratios, <u>LHC pPb data</u>

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eDIS	✓	✓	✓	✓	✓	✓
DY	✓	✓	✓	✓	✓	✓
π^0	✗	✓	✓	✓	✗	✓
vDIS	✗	✗	✓	✗	✗	✓
pPb	✗	✗	✗	✗	✗	✓
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- nCTEQ15 vs. EPPS16: beware of the parametrisation bias.

- Presently available LHC data seem not to have a large effect.



- Different **alternatives** (evolutions, factorisations) to describe small- x data from ep to AA collisions:
 - pQCD: DGLAP evolution (fixed order perturbation theory); resummation schemes: BFKL, CCFM, ABF, CCSS; non-linear dynamics (CGC).
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 - Non-perturbative approaches: Regge theory, holographic models,...
- All approaches eventually have to comply with unitarity constraints
 ⇒ **non-linear effects** that are density effects, **ep & eA needed**.

