

Quenching of hadron spectra in heavy ion collisions at the LHC

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based on FA, Phys. Rev. Lett. 119 (2017) 062302 [[1703.10852](#)]

Over the last decade, **tremendous development on jet quenching**

Experiment

- First reconstruction of jets in heavy ion collisions
- Jet substructure
- Fragmentation functions
- Jet-tagged and photon-tagged correlations, etc.

Phenomenology

- Monte-Carlo event generators in heavy-ion collisions
- Gluon emission off multi-particle antennas
- Jet fragmentation in a realistic medium, etc.

This talk

Here, looking for simpler things

I discuss a **simple analytic model** based on a single process – radiative energy loss – to describe the **quenching of single hadrons** at large p_{\perp}

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Why hadron quenching ?

- hadrons = particles
 - ▶ in a sense much simpler than jets
- very precise data at the LHC
 - ▶ two energies 2.76 TeV and 5.02 TeV
 - ▶ wide kinematical coverage: $p_{\perp} \lesssim 300$ GeV (ATLAS, CMS)
 - ▶ different hadron species
 - ▶ for the first time, R_{AA} reaches almost unity at very large p_{\perp}

This talk

Here, look

I discuss a
energy loss

Why hadron

- hadron

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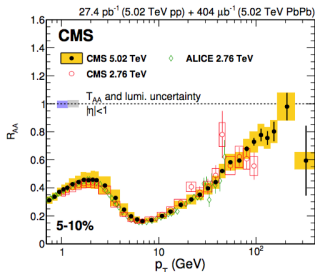
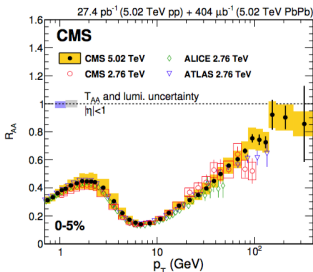
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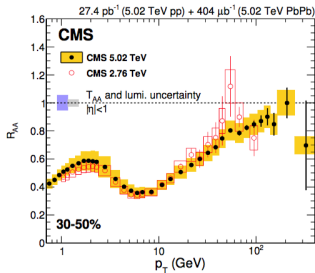
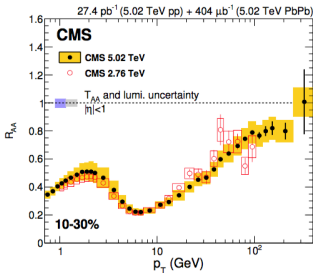
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Here, looking for simpler things

I discuss a **simple analytic model** based on a single process – radiative energy loss – to describe the **quenching of single hadrons** at large p_{\perp}

Why large transverse momentum ?

- cold nuclear matter effects (nPDF/saturation, energy loss in nuclei, Cronin effect) expected to weaken/vanish when $p_{\perp} \gg Q_s$
- hot medium effects (e.g. coalescence processes or collisional energy loss) only play a role at not too large p_{\perp}
- radiative energy loss likely to be the only (or dominant) physical process at work
- pp production section exhibits simple power-law behavior $\sigma^{pp} \propto p_{\perp}^{-n}$

Here, looking for simpler things

I discuss a **simple analytic model** based on a single process – radiative energy loss – to describe the **quenching of single hadrons** at large p_{\perp}

Goals

- compare data to a model with the least number of assumptions and parameters
- check **universality of quenching** for different particle species, collision centralities and c.m. energies
- extract robust and ideally **model-independent estimates** of parton energy loss in a **data-driven approach**

The model

Take the **simplest energy loss model** for production of particle i

$$\frac{d\sigma_{AA}^i(p_{\perp})}{dy dp_{\perp}} = A^2 \int_0^{\infty} d\epsilon \frac{d\sigma_{PP}^i(p_{\perp} + \epsilon)}{dy dp_{\perp}} P_i(\epsilon)$$

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Hadronization

- Particle losing energy \neq detected particle
- Introducing FF D_k^h and summing over partonic channels:

$$\frac{d\sigma_{AA}^h(p_{\perp})}{dy dp_{\perp}} = A^2 \sum_k \int_0^1 dz D_k^h(z) \int_0^{\infty} d\epsilon \frac{d\hat{\sigma}_{PP}^k(p_{\perp}/z + \epsilon/z)}{dy dp_{\perp}} \frac{1}{z} P_k(\epsilon/z)$$

- Assume that only one parton flavour to fragment (e.g. $g \rightarrow h^{\pm}$)
- Approximate $1/z P(\epsilon/z) \simeq 1/\langle z \rangle P(\epsilon/\langle z \rangle)$ and intertwine integrals

The model

Take the **simplest energy loss model** for production of hadron h

$$\frac{d\sigma_{AA}^h(p_{\perp})}{dy dp_{\perp}} = A^2 \int_0^{\infty} d\epsilon \frac{d\sigma_{PP}^h(p_{\perp} + \langle z \rangle \epsilon)}{dy dp_{\perp}} P_i(\epsilon)$$

Quenching weight

- In BDMPS, the quenching weight depends on a single energy loss scale $\omega_c = 1/2 \hat{q} L^2$ at high parton energy

$$P(\epsilon) = \frac{1}{\omega_c} \bar{P}(\epsilon/\omega_c)$$

- Computed numerically from the BDMPS (and GLV) gluon spectrum
- Because of hadronization, the energy loss scale accessible from data is $\bar{\omega}_c \equiv \langle z \rangle \omega_c$

The model

Take the **simplest energy loss model** for production of hadron h

$$\frac{d\sigma_{AA}^h(p_{\perp})}{dy dp_{\perp}} \simeq A^2 \int_0^{\infty} dx \frac{d\sigma_{pp}^h(p_{\perp} + \bar{\omega}_c x)}{dy dp_{\perp}} \bar{P}(x)$$

pp production cross section

- Power-law behavior expected at high $p_{\perp} \gg \Lambda_{\text{QCD}}, m_Q$

$$\frac{d\sigma_{pp}^i(p_{\perp})}{dy dp_{\perp}} \propto p_{\perp}^{-n}$$

- Power law index $n = n(h, \sqrt{s}) \simeq 5 - 6$ fitted from pp data
- Absolute magnitude of the cross section irrelevant when computing nuclear modification factor R_{AA}

Nuclear modification factor R_{AA}

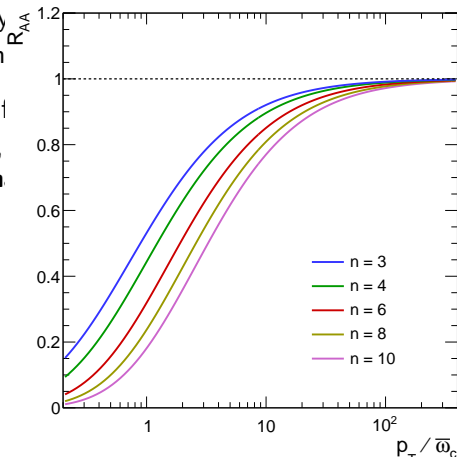
$$R_{AA}^h(p_{\perp}) = \int_0^{\infty} dx \left(1 + x \frac{\bar{\omega}_c}{p_{\perp}}\right)^{-n} \bar{P}(x) \simeq \int_0^{\infty} dx \exp\left(-x \frac{n \bar{\omega}_c}{p_{\perp}}\right) \bar{P}(x)$$

- R_{AA} uniquely predicted once the only parameter $\bar{\omega}_c$ is known
 - ▶ determined from a fit to R_{AA} data
- R_{AA} scaling function of $p_{\perp}/\bar{\omega}_c$ for a given $n(h, \sqrt{s})$
 - ▶ $R_{AA}(p_{\perp}, \bar{\omega}_c, n) = f(p_{\perp}/\bar{\omega}_c, n)$
 - ▶ Same **shape** of R_{AA} vs. p_{\perp} , for all centralities

Nuclear modification factor R_{AA}

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- R_{AA} uniquely determined
- R_{AA} scaling †
 - ▶ $R_{AA}(p_{\perp}, \dots)$
 - ▶ Same **sh**



Nuclear modification factor R_{AA}

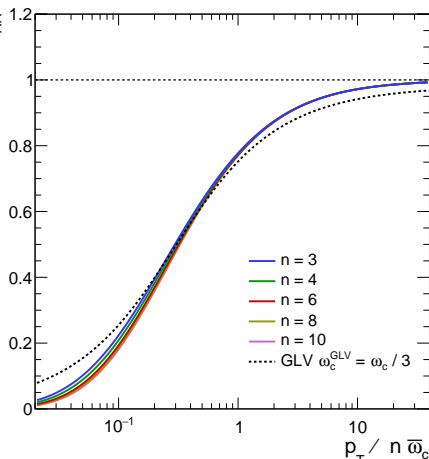
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 - ▶ $R_{AA}(p_{\perp}, \bar{\omega}_c, n) = f(p_{\perp}/\bar{\omega}_c, n)$
 - ▶ Same **shape** of R_{AA} vs. p_{\perp} , for all centralities
- Approximate scaling: $R_{AA}(p_{\perp}, \bar{\omega}_c, n) = f(p_{\perp}/n\bar{\omega}_c)$
 - ▶ allows for comparing different hadron species or c.m. energies

Nuclear modification factor R_{AA}

$$R_{AA}^h(p_{\perp}) = \int_0^{\infty} dx \left(1 + x \frac{\bar{\omega}_c}{p_{\perp}}\right)^{-n} \bar{P}(x) \simeq \int_0^{\infty} dx \exp\left(-x \frac{n \bar{\omega}_c}{p_{\perp}}\right) \bar{P}(x)$$

- R_{AA} uniquely determined
- R_{AA} scaling
 - ▶ $R_{AA}(p_{\perp})$
 - ▶ Same shape
- Approximate
 - ▶ allows for



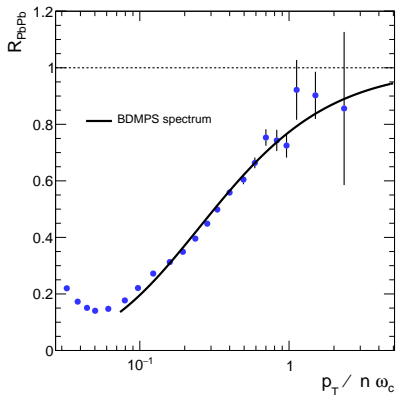
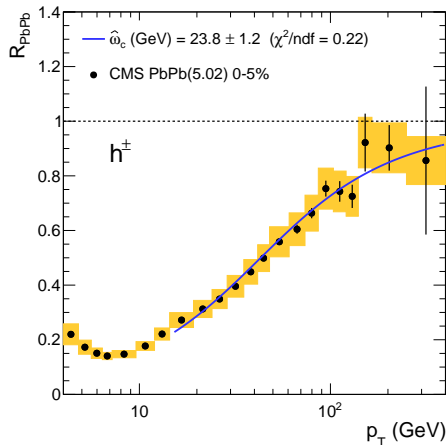
is known

energies

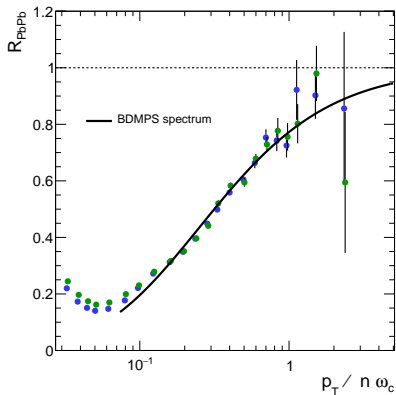
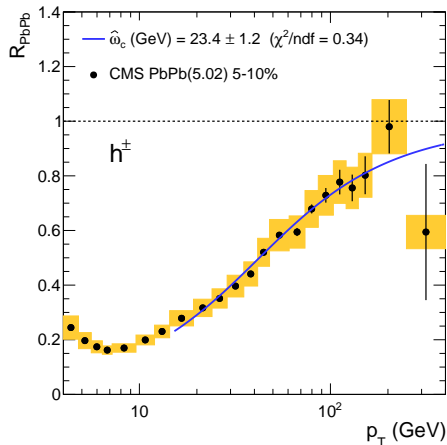
Strategy

- Check if the p_{\perp} dependence of R_{AA} is indeed **universal**
 - ▶ shape independent of **centrality, energy, and hadron species**
- Discuss the values of $\bar{\omega}_c$ extracted from all the fits
- Start with CMS measurements of charged hadrons in PbPb at $\sqrt{s} = 5$ TeV

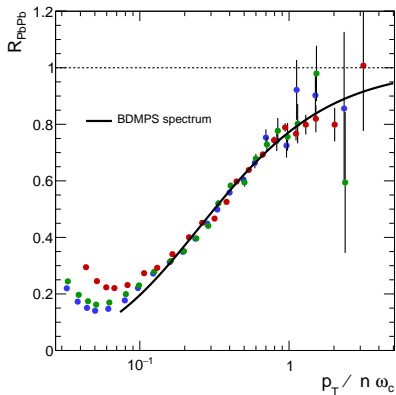
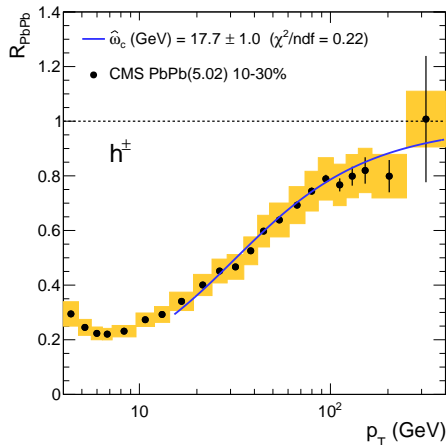
Charged hadron quenching in PbPb at $\sqrt{s} = 5$ TeV



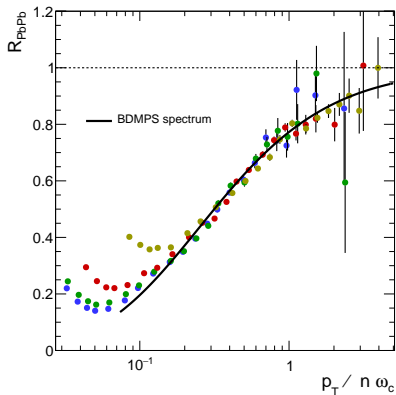
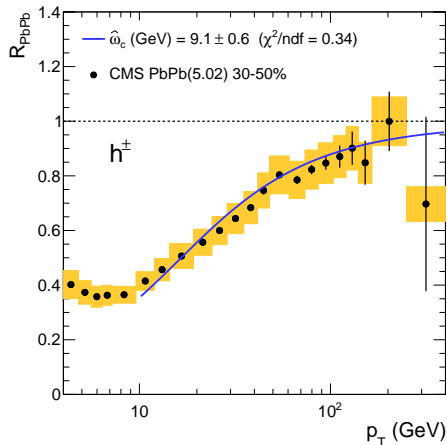
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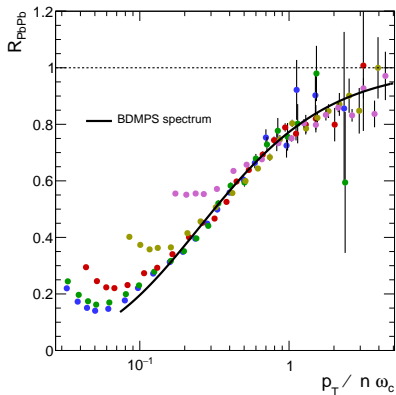
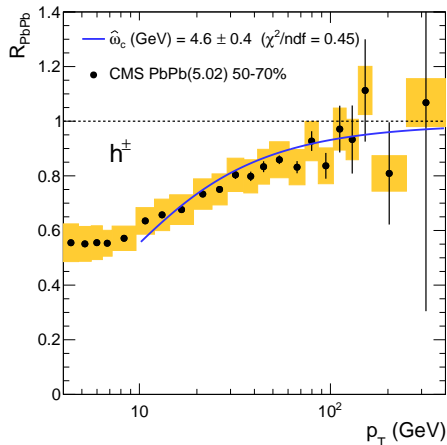
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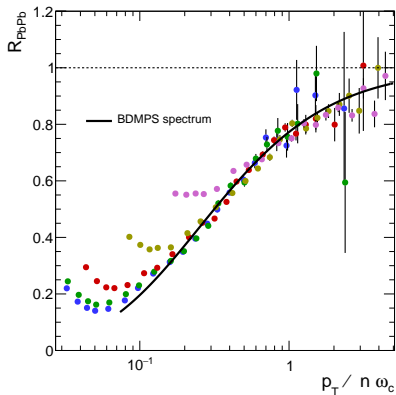
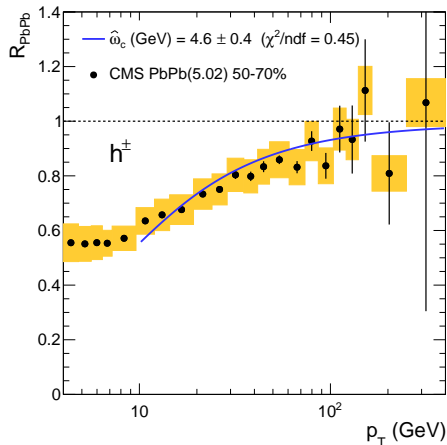
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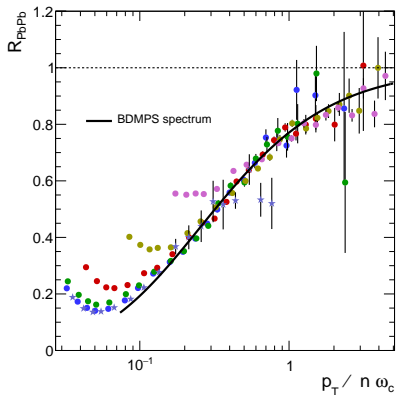
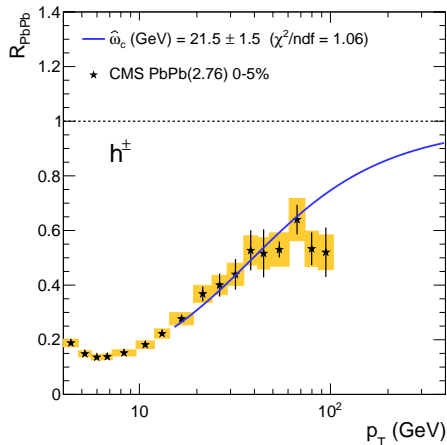


Charged hadron quenching in PbPb at $\sqrt{s} = 5$ TeV & $\sqrt{s} = 2.76$ TeV

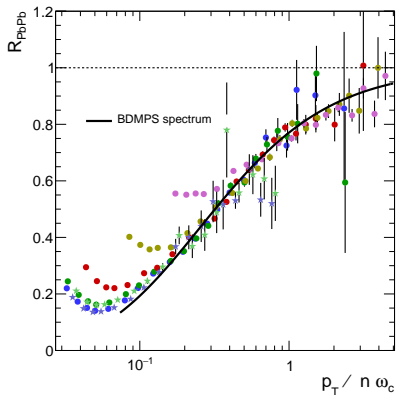
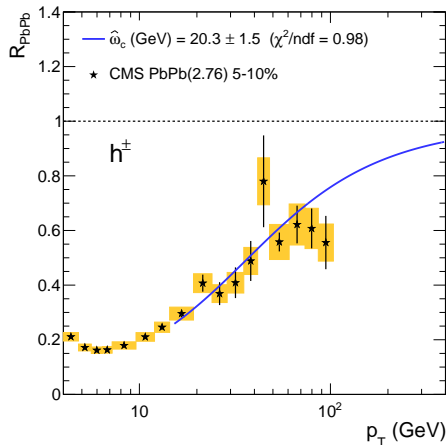


... now adding PbPb CMS data at $\sqrt{s} = 2.76$ TeV

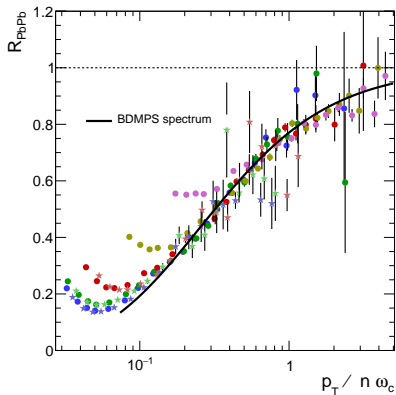
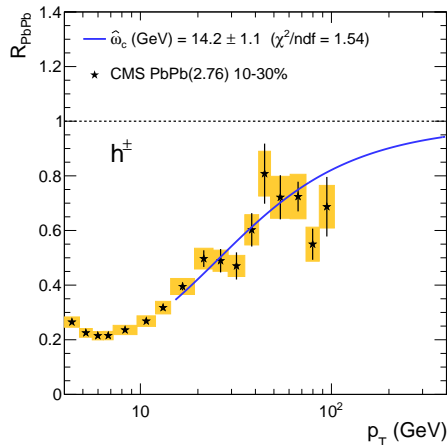
Charged hadron quenching in PbPb at $\sqrt{s} = 5$ TeV & $\sqrt{s} = 2.76$ TeV



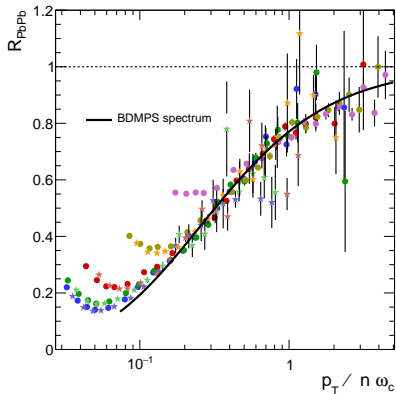
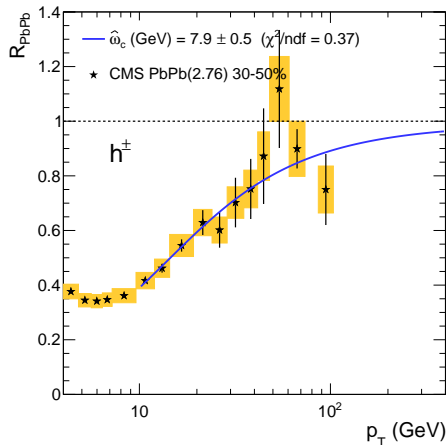
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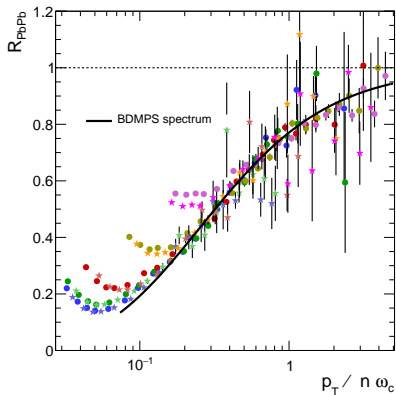
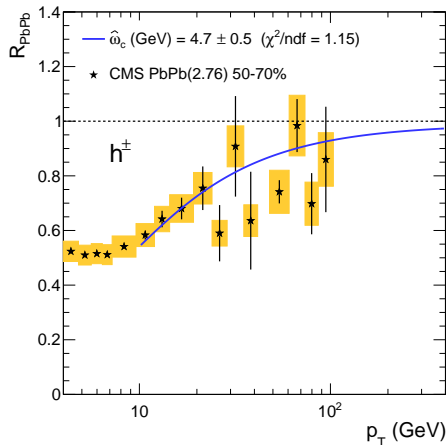
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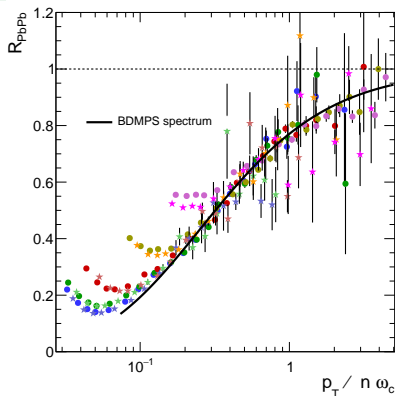


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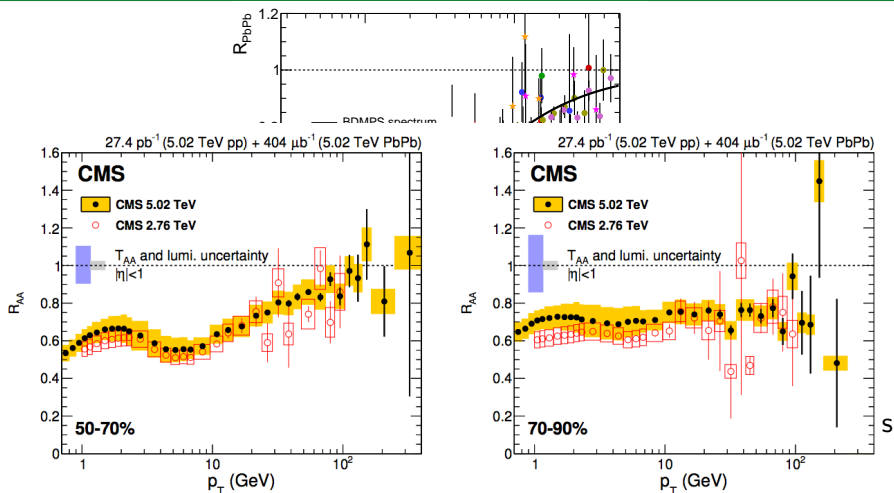


Charged hadron quenching in PbPb at $\sqrt{s} = 5$ TeV & $\sqrt{s} = 2.76$ TeV





- Predicted scaling nicely observed at 2 energies and in 5 centrality bins
- Shape of R_{AA} nicely consistent with the simple model ($\chi^2/\text{ndf} \simeq 1$)
- Scaling violations at low $p_{\perp} \lesssim 10$ GeV
 - ▶ onset of another phenomenon below this scale ?
- The most peripheral data set does not follow the systematics



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 - ▶ onset of another phenomenon below this scale ?
- The most peripheral data set does not follow the systematics

Heavy hadrons into the game

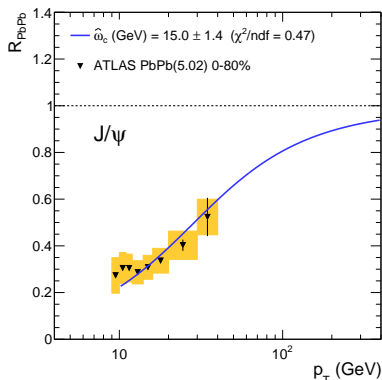
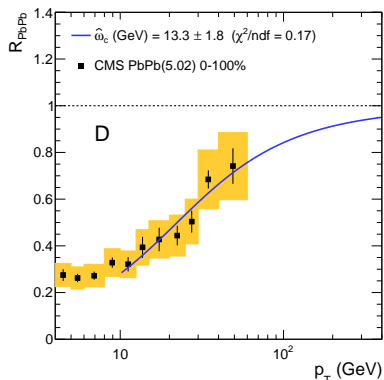
At large $p_{\perp} \gg m_h$, production of heavy hadrons (D/B, heavy quarkonia) should also proceed from the collinear fragmentation of a single parton

- R_{AA} of heavy hadrons might as well follow the same trend
- Fit to the D and J/ψ R_{AA} using the same BDMPS quenching weight (yet initially for massless partons)

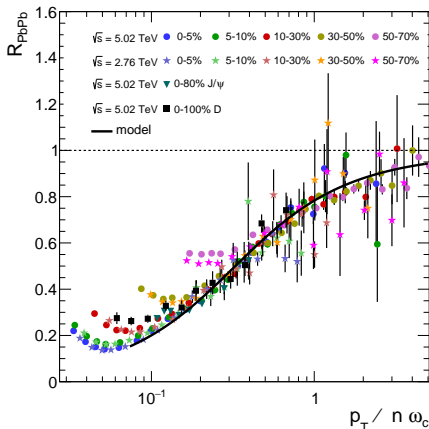
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- R_{AA} of heavy hadrons might as well follow the same trend
- Fit to the D and J/ψ R_{AA} using the same BDMPS quenching weight (yet initially for massless partons)



Heavy hadrons into the game



- Within uncertainties, D and J/ψ seem to follow the predicted trend
 - ▶ need for more precise data, more centrality & even larger p_{\perp} to confirm
- Energy loss possibly only process relevant for J/ψ with $p_{\perp} \gtrsim 10$ GeV
 - ▶ maybe not for excited states ?

Mean energy loss

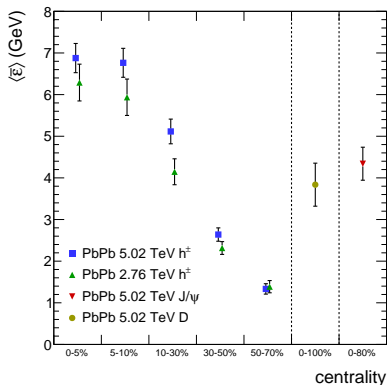
Fits allow for computing $\langle \bar{\epsilon} \rangle = \langle z \rangle \times \langle \epsilon \rangle$

- ... and $\langle \epsilon \rangle$ if $\langle z \rangle$ is known
 - ▶ NLO calculations indicate $\langle z \rangle \simeq 0.5$ for light hadrons
 - ▶ $\langle z \rangle$ slightly larger for D & J/ψ
 - ▶ could be computed from the fractional moments of the FF

$$\langle z \rangle \simeq \int dz z^{n+1} D_k^h(z) / \int dz z^n D_k^h(z)$$

- $\langle \epsilon \rangle$ should be understood as the mean energy loss of the fragmenting parton, averaged over production point and directions of propagation
 - ▶ could be computed e.g. from hydrodynamics

Mean energy loss



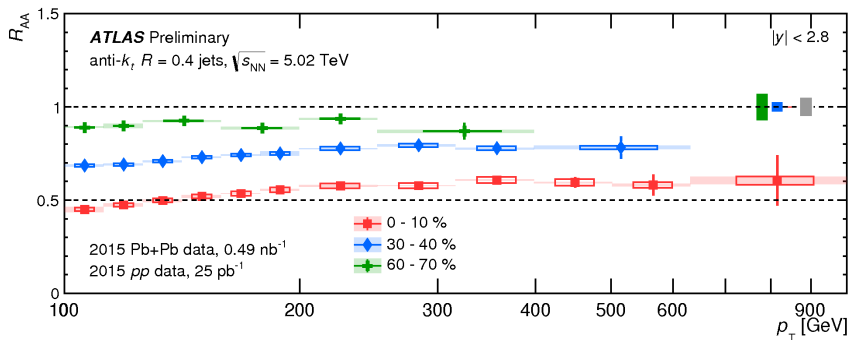
- **Drop** from $\langle \bar{\epsilon} \rangle \simeq 6-7$ GeV to 1 GeV, from central to peripheral classes
- $\langle \epsilon \rangle \simeq 4-5$ GeV from D & J/ψ in centrality integrated collisions
 - ▶ need to analyze same centralities for better comparison with h^\pm
- **10-20% increase** of $\langle \bar{\epsilon} \rangle$ from 2.76 to 5 TeV
 - ▶ consistent with the increase of particle multiplicity measured by ALICE

What about jets ?

Perhaps the most natural observable to test the model is R_{AA} of jets,
but...

What about jets ?

Perhaps the most natural observable to test the model is R_{AA} of jets, but...



How to understand this ?

- Rather flattish R_{AA}
- R_{AA} never reaches unity even at extremely large energies !

What about jets ?

How to understand this ? No clue !

Bias in the measurement

- All measurements have been carefully cross-checked... so almost 1 TeV jets indeed seem significantly quenched !

Physical origin

- Energy lost by a jet in a medium should not necessarily be that of a single parton, nor that of a hadron
- Different scaling property of medium-induced energy loss for a jet ? Should $\langle \epsilon \rangle \propto \hat{q}L^2$ hold there too ? If not, why ?

Towards a purely data driven approach

- Still some model dependence because a specific quenching weight is assumed
- How to extract the mean energy loss without assuming **anything** on the quenching weight ?

Taylor expansion of the pp production cross section in ϵ/p_{\perp}

$$\frac{d\sigma_{\text{pp}}(p_{\perp} + \epsilon)}{dy dp_{\perp}} = \frac{d\sigma_{\text{pp}}(p_{\perp})}{dy dp_{\perp}} + \epsilon \frac{\partial}{\partial p_{\perp}} \frac{d\sigma_{\text{pp}}(p_{\perp})}{dy dp_{\perp}} + \dots$$

Integrating over $P(\epsilon) d\epsilon$ leads to

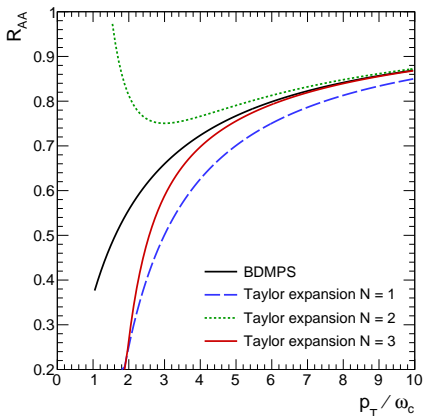
$$R_{\text{AA}}(p_{\perp}) = 1 - n \frac{\langle \epsilon \rangle}{p_{\perp}} + \frac{n(n+1)}{2} \frac{\langle \epsilon^2 \rangle}{p_{\perp}^2} + \dots = \sum_{i=0}^N (-1)^i \frac{\Gamma(n+i)}{\Gamma(i+1)\Gamma(n)} \frac{\langle \epsilon^i \rangle}{p_{\perp}^i}$$

Idea : take the first moments $\langle \bar{\epsilon}^j \rangle$ as **free** parameters !

Procedure

- 1 Check the convergence from a **known quenching weight** (here, BDMPS)
- 2 Generate pseudo-data according to the known quenching weight and check that the **first moments can be retrieved** from a fit to the pseudo-data

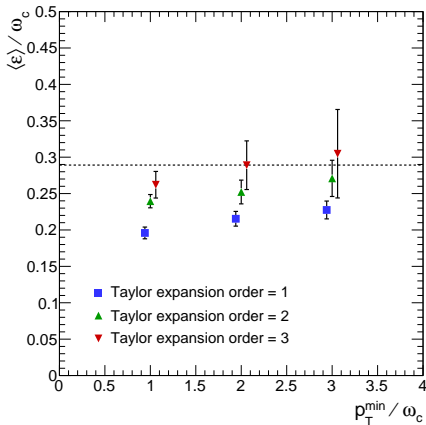
Convergence of the Taylor series



- Failure of the 1st order expansion at all p_{\perp}
- 2nd and 3rd order fits reproduce well the input R_{AA} at 'large' p_{\perp}

Extracting moments

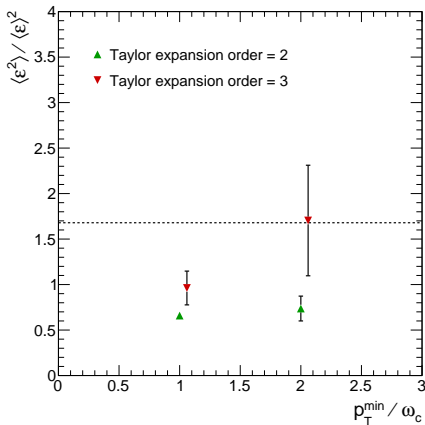
First moment



- First moment $\langle \epsilon \rangle$ can be extracted reliably if the p_{\perp} range is large
- Larger uncertainties expected with 3rd order fits

Extracting moments

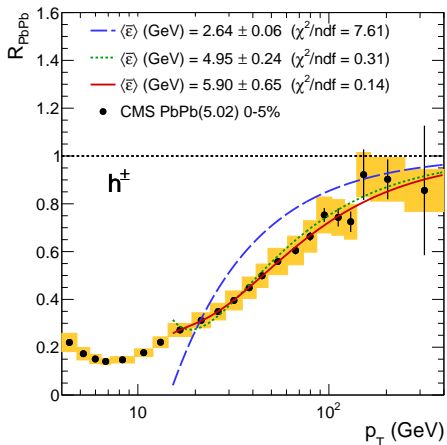
Second moment



- Extracting the second moment (variance) is more delicate, yet not impossible
 - ▶ needs very precise data

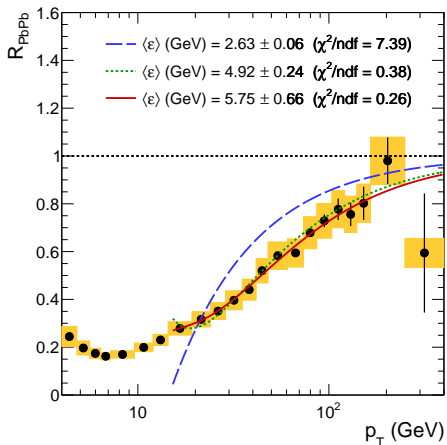
Extracting moments from data

Testing the procedure with charged hadron CMS data



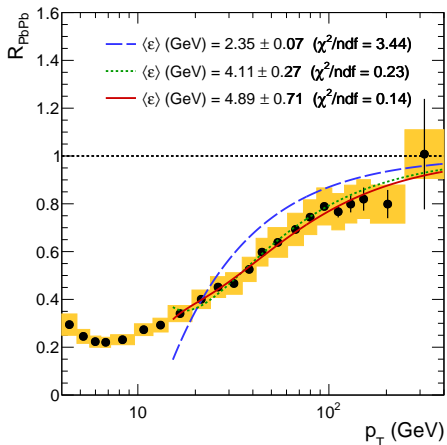
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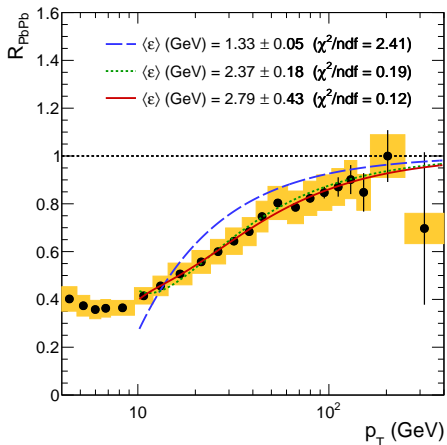
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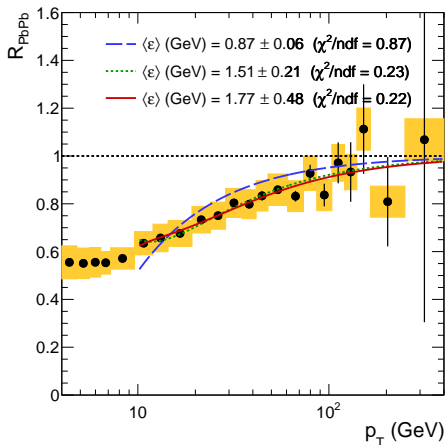
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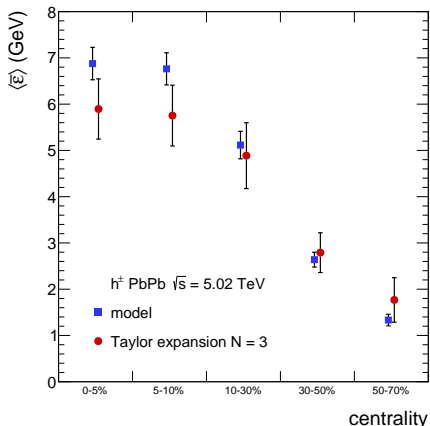


Extracting moments from data

Testing the procedure with charged hadron CMS data



Extracting moments from data



- Good agreement between the BDMPS and the 'agnostic' estimates
- Larger uncertainties because of the 3 parameters (instead of 1 when assuming a given quenching weight)

Summary

- **Simple energy loss model revisited** in light of the recent LHC data
- Measured R_{AA} **exhibit a universal shape** (scaling) for hadrons for different centralities and at both energies
 - ▶ heavy hadrons (including quarkonia) follow the same behavior
 - ▶ scaling violations for hadrons $p_{\perp} \leq 10$ GeV
- Energy loss scales extracted for all centralities
 - ▶ **10%–20% increase** from 2.76 to 5 TeV consistent with that of particle multiplicity
- **Data-driven procedure to extract moments** of the quenching weight without any prior
 - ▶ results consistent with estimates from BDMPS