

MAPPING THE NEUTRINO FLOOR FOR LOW MASS DARK MATTER

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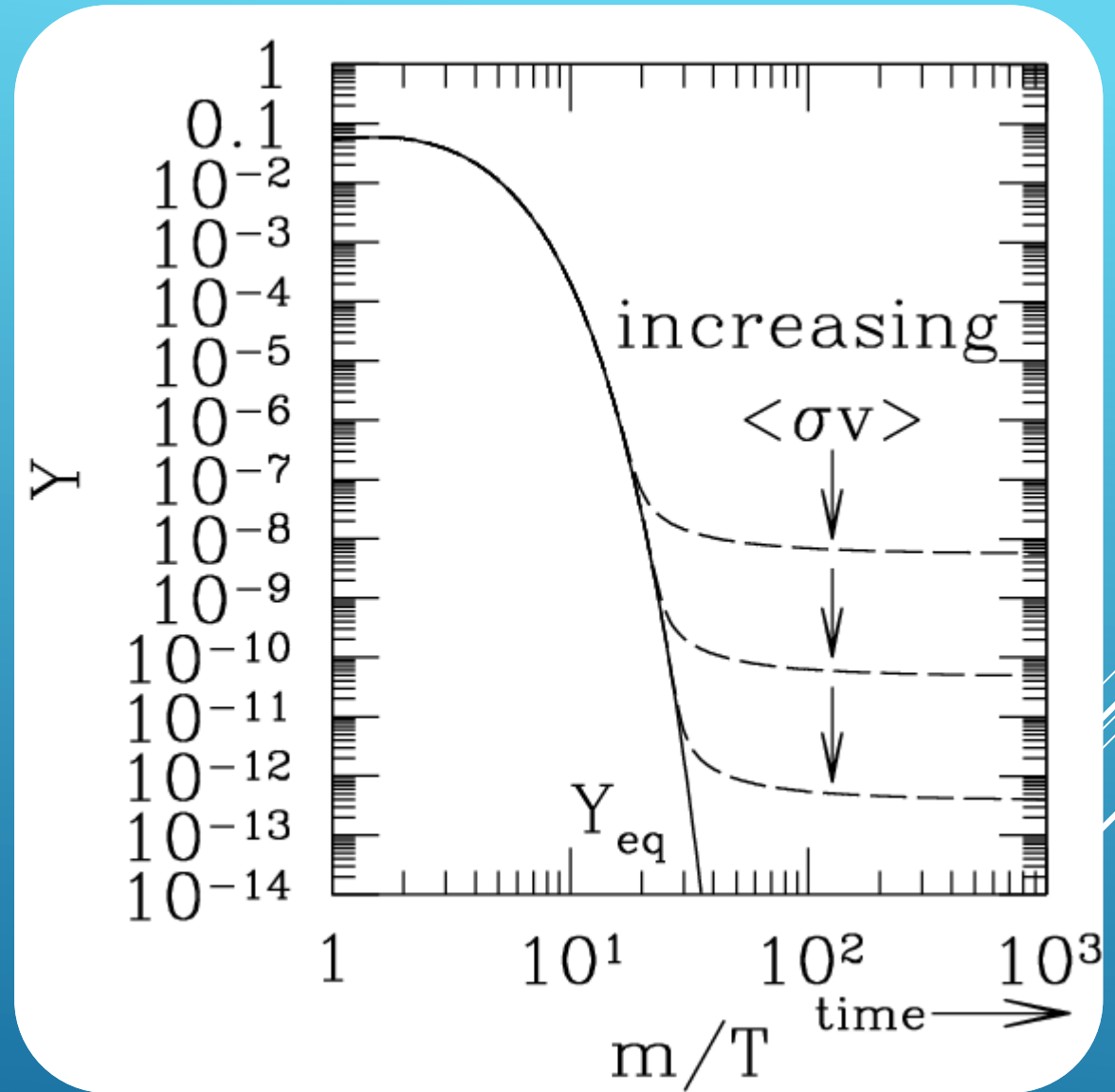
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OUTLINE

- MOTIVATION
 - SIGNAL – DARK MATTER
 - Nuclear Scattering Rates
 - Electron Scattering Rates
 - BACKGROUND – SOLAR NEUTRINOS
 - Solar- ν Flux
 - Nuclear Scattering Rates
 - Electron Scattering Rates
 - CONVERSION OF RECOIL ENERGY TO DETECTOR SIGNAL
 - Ionization from Electron Scattering
 - Ionization from Nuclear Scattering
 - STATISTICAL ANALYSIS
 - Likelihood Functions
 - DISCOVERY LIMITS
 - Regimes of Discovery Limit vs Exposures
 - Theoretical “floor” for Cross Section
 - CONCLUSION / QUESTIONS
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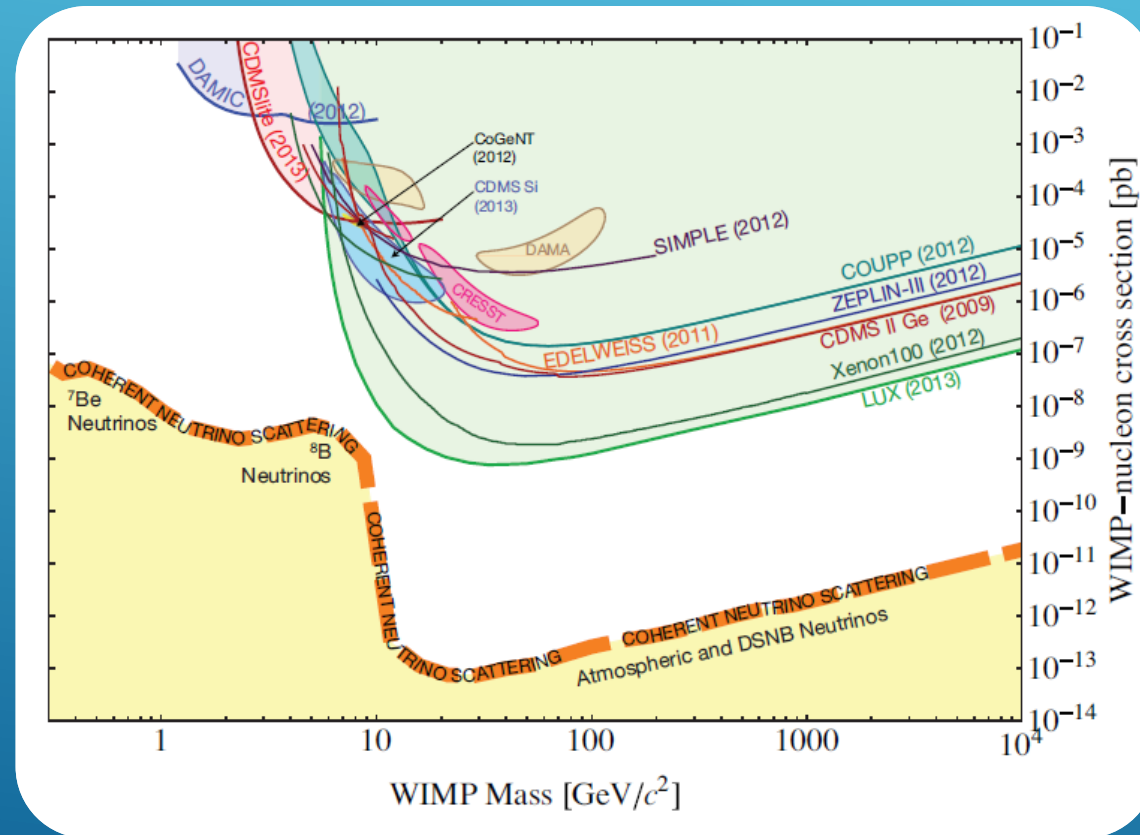
MOTIVATION

- THEORETICALLY MOTIVATED BY
“WIMP MIRACLE”



MOTIVATION

- THEORETICALLY MOTIVATED BY “WIMP MIRACLE”
- UNEXPLORED PARAMETER SPACE
 - Traditional Direct Detection on nuclei – limitations at low DM Mass ($< \sim 100$ MeV)

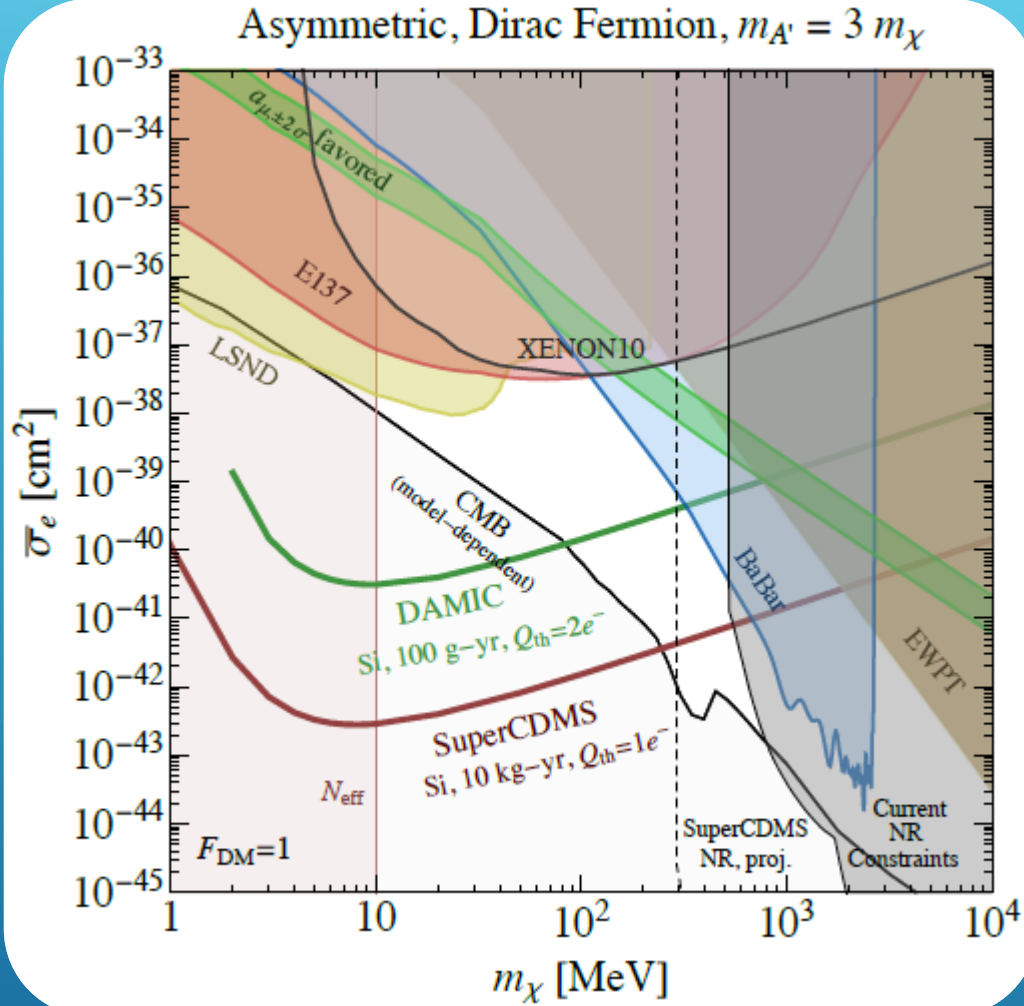
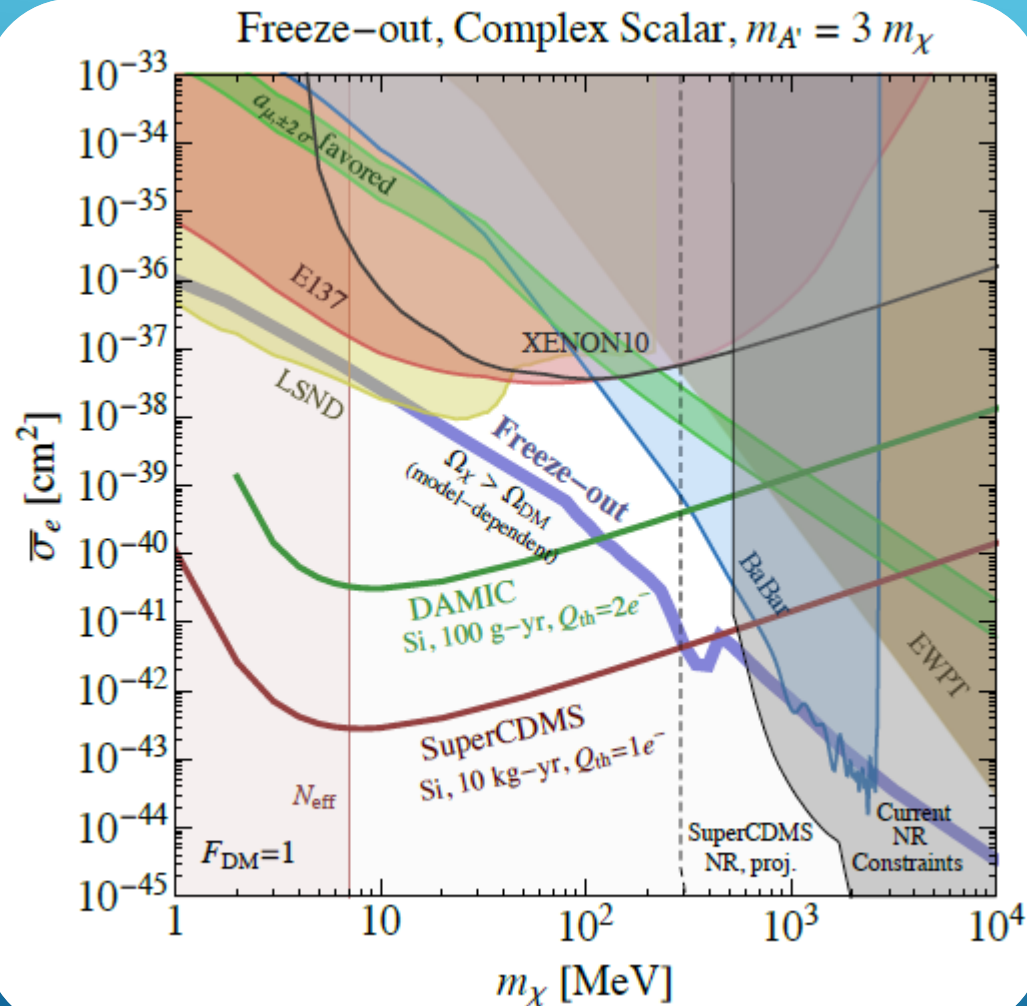


MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

MOTIVATION

- THEORETICALLY MOTIVATED BY “WIMP MIRACLE”
- UNEXPLORED PARAMETER SPACE
 - Traditional Direct Detection on nuclei – limitations at low DM Mass ($< \sim 100$ MeV)
 - Well-motivated theory to probe this parameter space (below 100 MeV)

MOTIVATION



MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

SIGNAL – DARK MATTER

○ NUCLEAR SCATTERING RATES

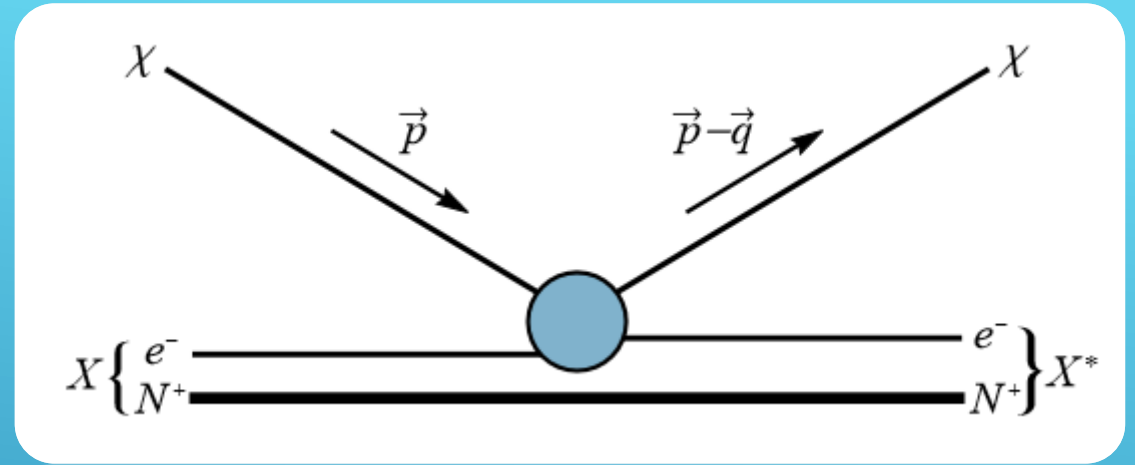
- $F(E_r)$ is the Helm form factor, affects recoil energies $> \sim 10$ keV
- σ_0 is the normalized to nucleus form factor, which scales as A^2
- v_{\min} is set by the kinematics of the collision and is equal to the minimum velocity necessary for recoil energy E_r

$$f(\vec{v}) = \begin{cases} \frac{1}{N_{\text{esc}}(2\pi\sigma_v^2)^{3/2}} \exp\left[-\frac{(\vec{v} + \vec{V}_{\text{lab}})^2}{2\sigma_v^2}\right] & \text{if } |\vec{v} + \vec{V}_{\text{lab}}| < v_{\text{esc}} \\ 0 & \text{if } |\vec{v} + \vec{V}_{\text{lab}}| \geq v_{\text{esc}} \end{cases}$$

$$\frac{dR}{dE_r} = MT \times \frac{\rho_0 \sigma_0}{2m_\chi m_r^2} F^2(E_r) \int_{v_{\min}} \frac{f(\vec{v})}{v} d^3v$$

SIGNAL – DARK MATTER

- NUCLEAR SCATTERING RATES
- ELECTRON SCATTERING RATES
 - QE dark model used to simulate Ge electron wavefunctions
 - F_{ion} encodes the wavefunction information of the Ge atomic structure
 - How likely it is that an incoming velocity will ionize electron to energy E_r

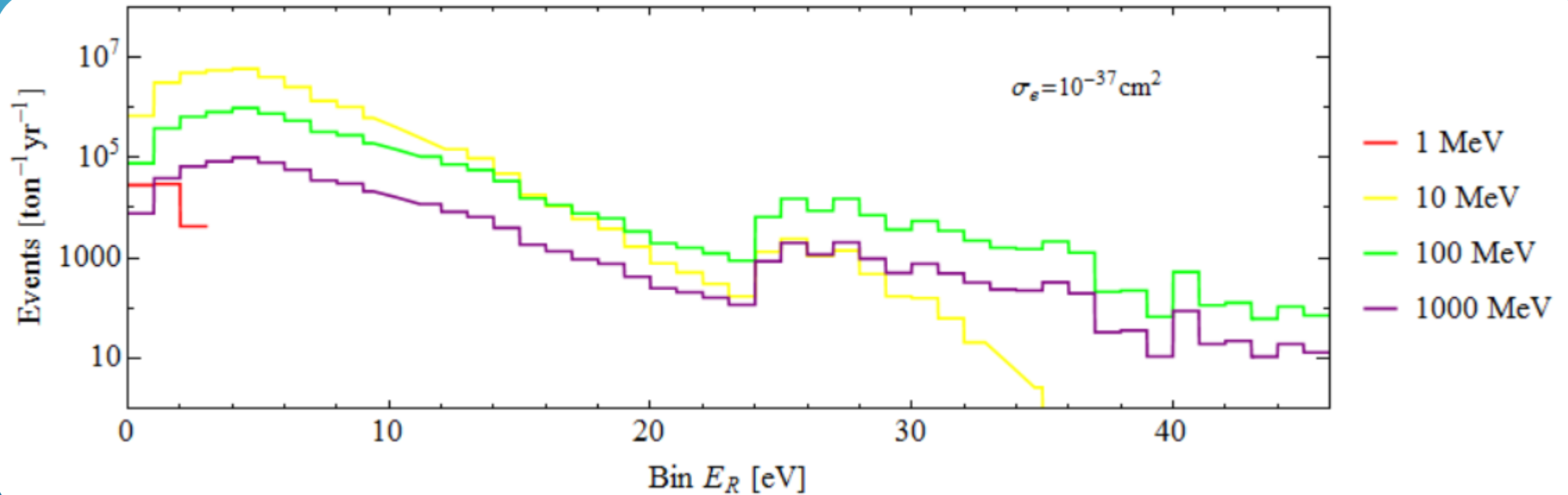


$$\frac{d\langle\sigma_{ion}^i v\rangle}{d\ln E_r} = \frac{\sigma_e}{8\mu_{\chi e}^2} \int q dq |f_{ion}^i(k', q)|^2 |F_{DM}(q)|^2 \eta(v_{min}),$$

$$\frac{dR}{dT} = \frac{\rho_\chi}{M_\chi} \frac{M_{det}}{M_{Ge}} \frac{\sigma_e}{8\mu_{\chi e}^2 E_r} \sum_{i=1}^{32} \int q dq |f_{ion}^i(k', q)|^2 |F_{DM}(q)|^2 \eta(v_{min})$$

SIGNAL – DARK MATTER

- NUCLEAR SCATTERING RATES
- ELECTRON SCATTERING RATES

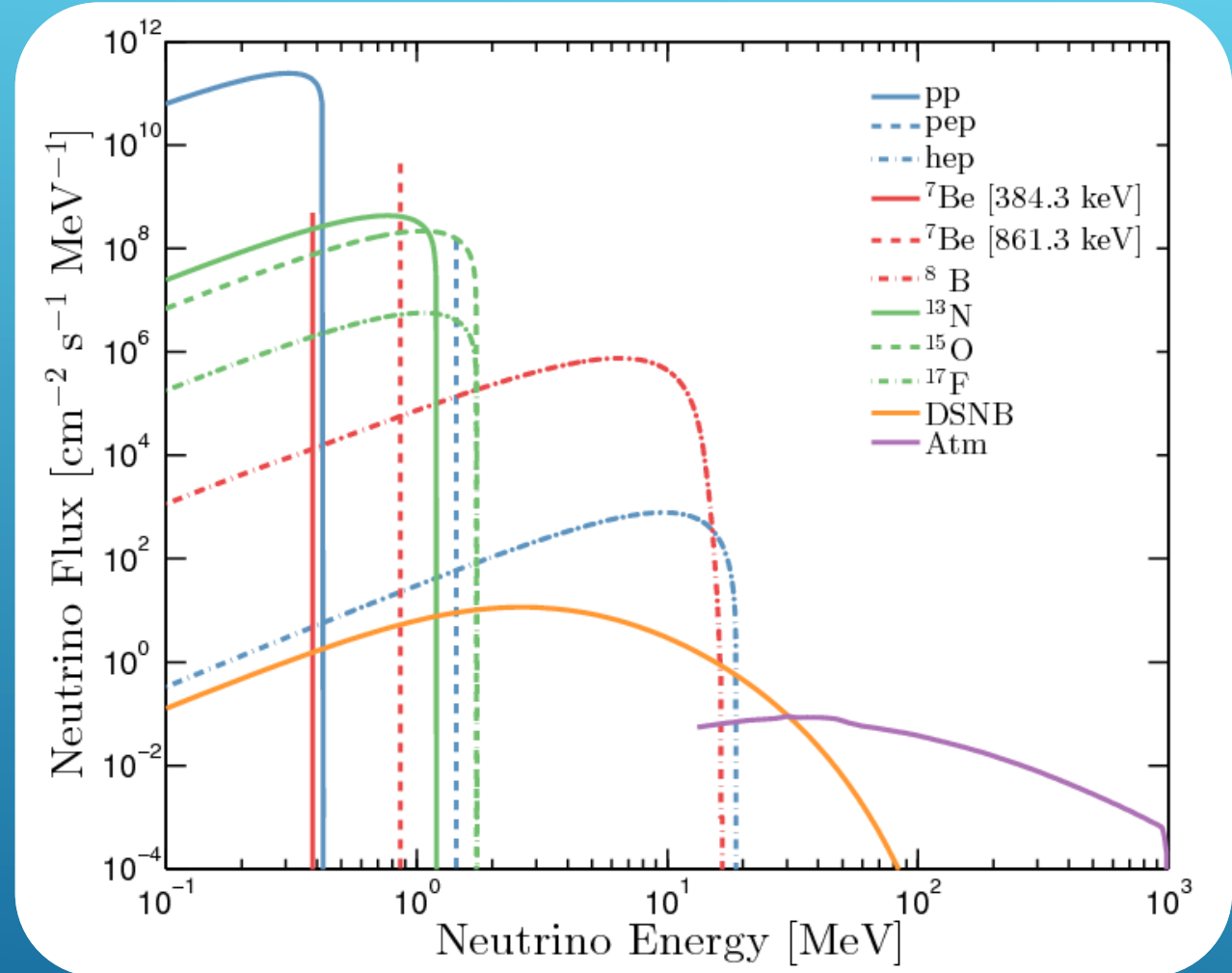


MOTIVATION – **SIGNAL** – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

BACKGROUND – SOLAR NEUTRINOS

○ SOLAR-NEUTRINO FLUX

- Relevant energy levels



MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

BACKGROUND – SOLAR NEUTRINOS

- SOLAR-NEUTRINO FLUX
- EVENT RATES
 - Nuclear Scattering

$$\frac{d\sigma(E_\nu, E_r)}{dE_r} = \frac{G_f^2}{4\pi} Q_w^2 m_N \left(1 - \frac{m_N E_r}{2E_\nu^2}\right) F^2(E_r)$$

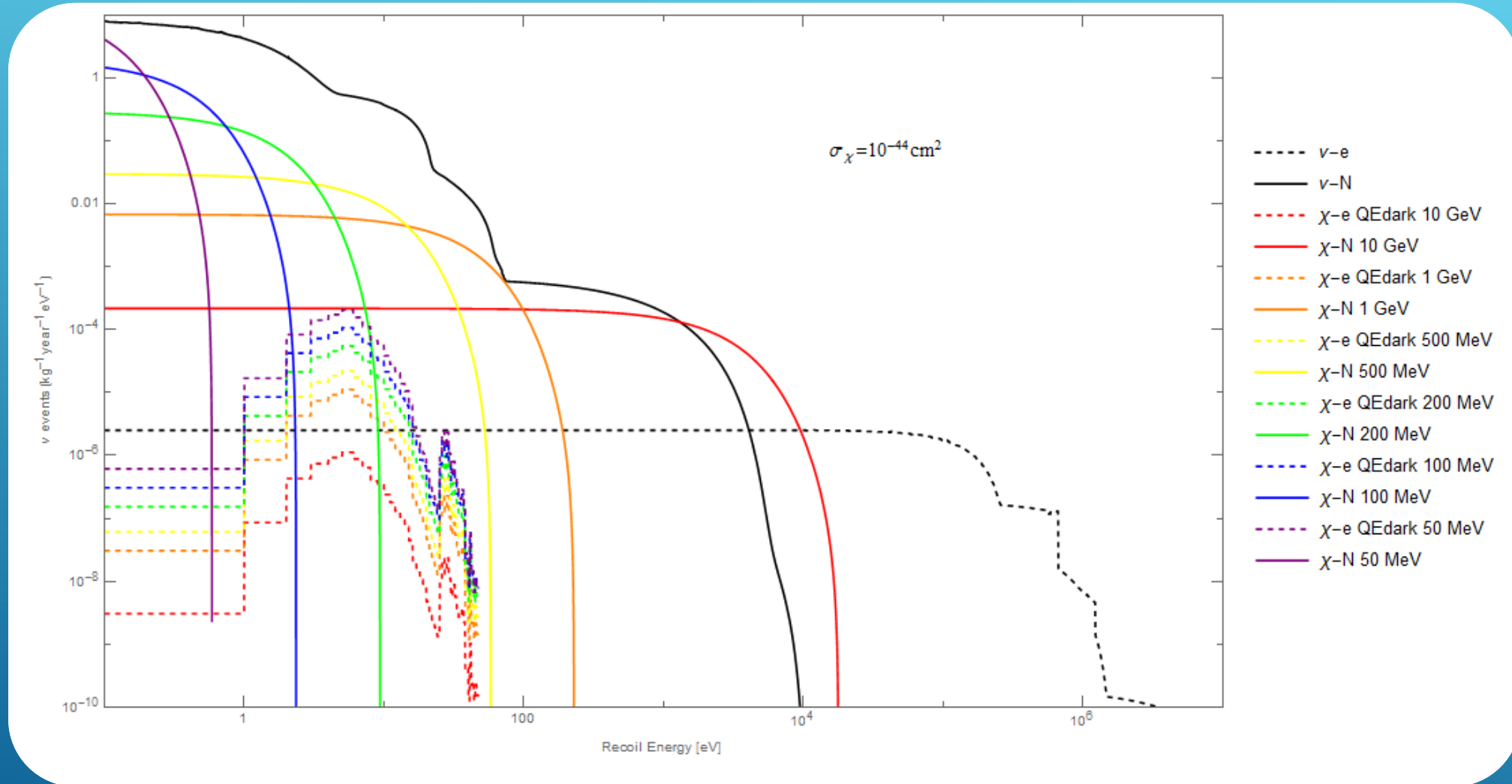
BACKGROUND – SOLAR NEUTRINOS

- SOLAR-NEUTRINO FLUX
- EVENT RATES
 - Nuclear Scattering
 - Electron Scattering

$$\frac{d\sigma(E_\nu, E_r)}{dE_r} = \frac{G_f^2 m_e}{2\pi} \left[(g_\nu + g_a)^2 + (g_\nu - g_a)^2 \left(1 - \frac{E_r}{E_\nu}\right)^2 + (g_a^2 - g_\nu^2) \frac{m_e E_r}{E_\nu^2} \right]$$

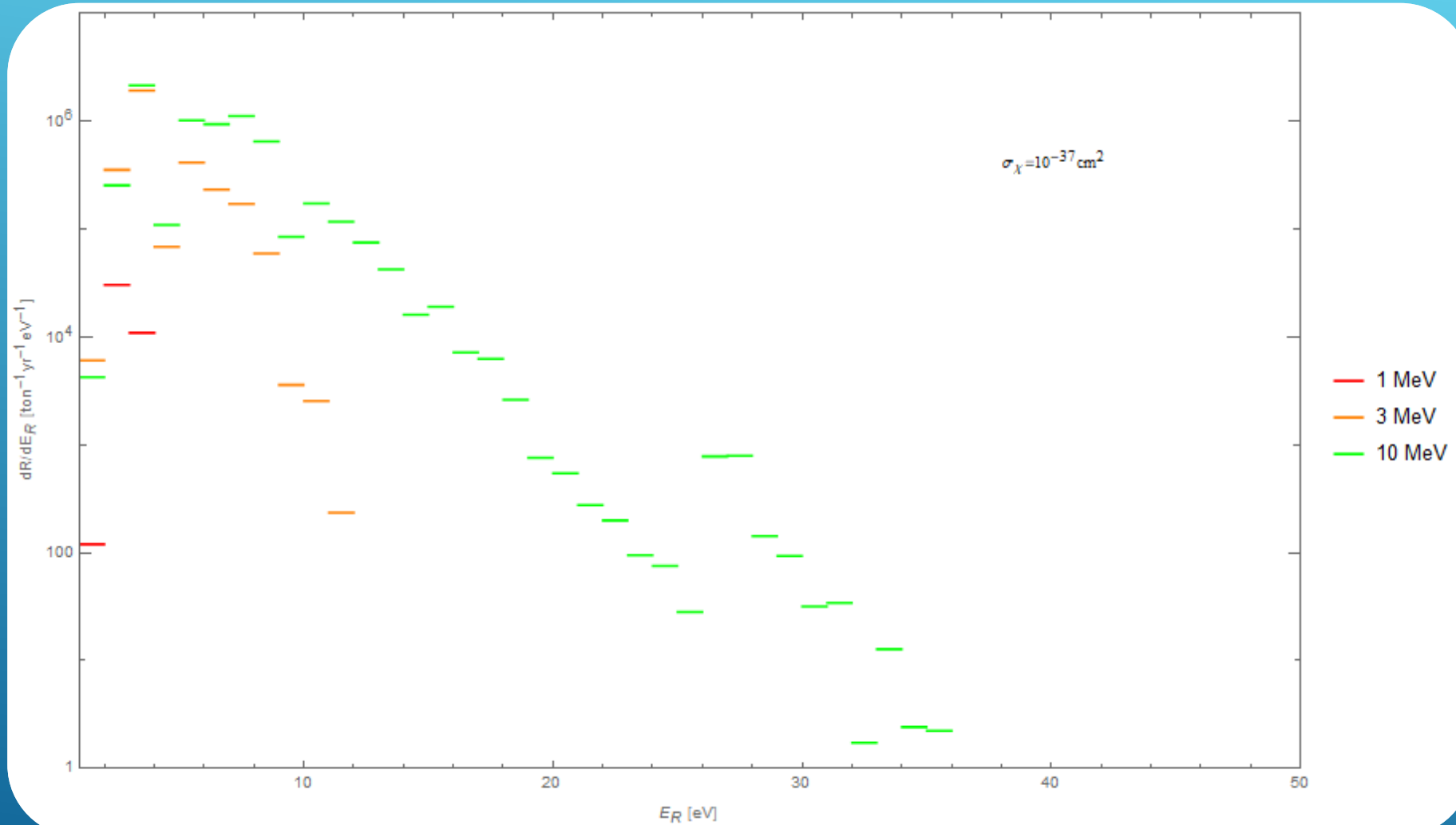
$$\frac{dR}{dT} = \frac{M_{det}}{M_{Ge}} \sum_i \int_{E_\nu^{min}} \frac{d\Phi_\nu^i}{dE_\nu} \frac{d\sigma(E_\nu, E_r)}{dE_r} dE_\nu$$

BACKGROUND – SOLAR NEUTRINOS



MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

BACKGROUND – SOLAR NEUTRINOS



MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

RECOIL ENERGY TO DETECTOR SIGNAL

○ IONIZATION FROM ELECTRON SCATTERING

$$Q(E_r) = 1 + \lfloor (E_r - E_{gap})/\varepsilon \rfloor$$

$$\varepsilon = 2.9 \text{ eV}, \quad E_{gap} = 0.67 \text{ eV}$$

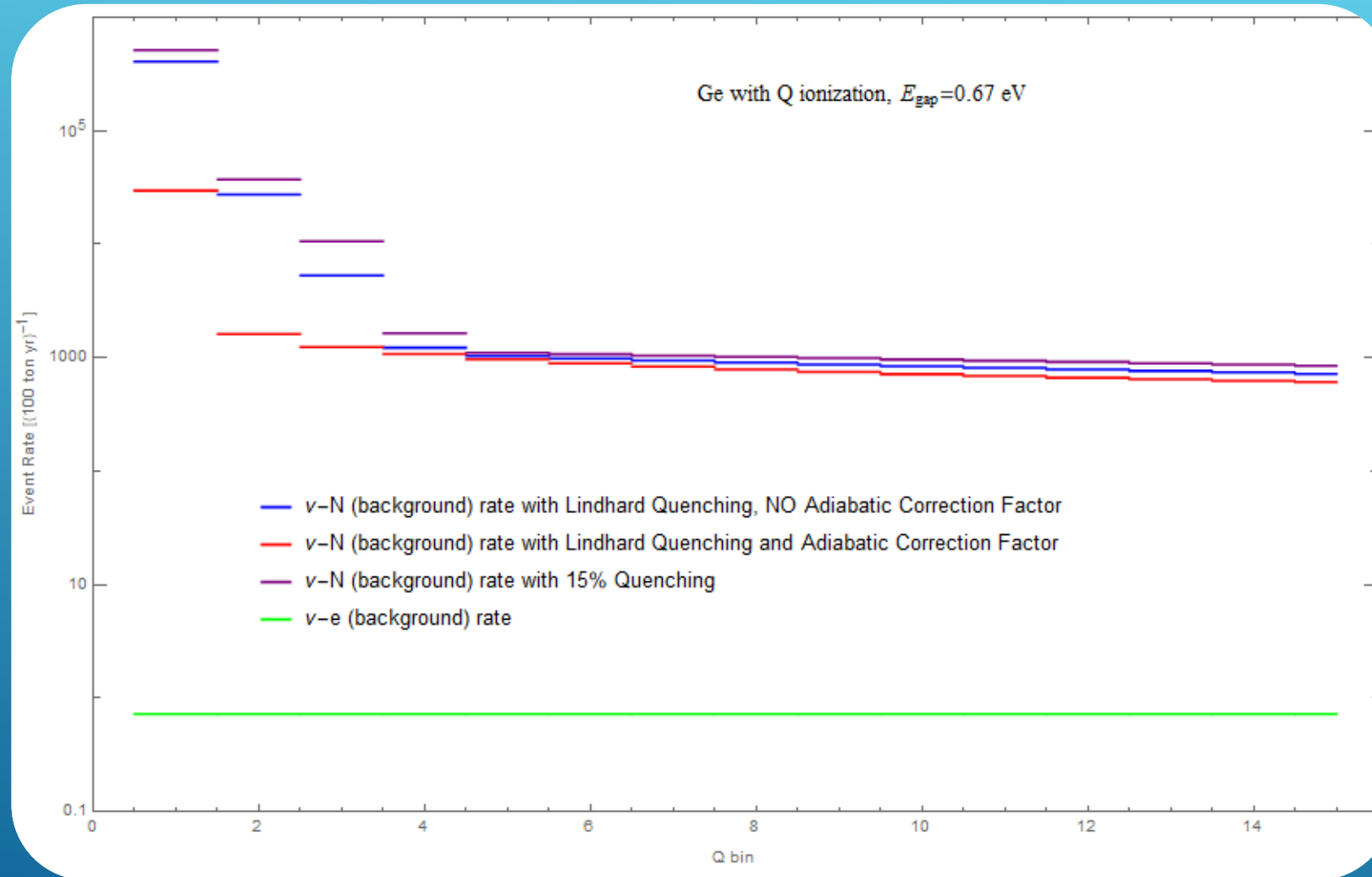
RECOIL ENERGY TO DETECTOR SIGNAL

- IONIZATION FROM ELECTRON SCATTERING
- IONIZATION AFTER NEUTRON SCATTERING
 - Lindhard “Quenching” model
 - Adiabatic Correction Factor (FAC)

$$Q(E_r) = \frac{kg(\varepsilon)}{1 + kg(\varepsilon)}, \quad g(\varepsilon) = 3\varepsilon^{0.15} + 0.7\varepsilon^{0.6} + \varepsilon, \quad \varepsilon = 11.5Z^{-7/3}E_r/\text{keV}$$

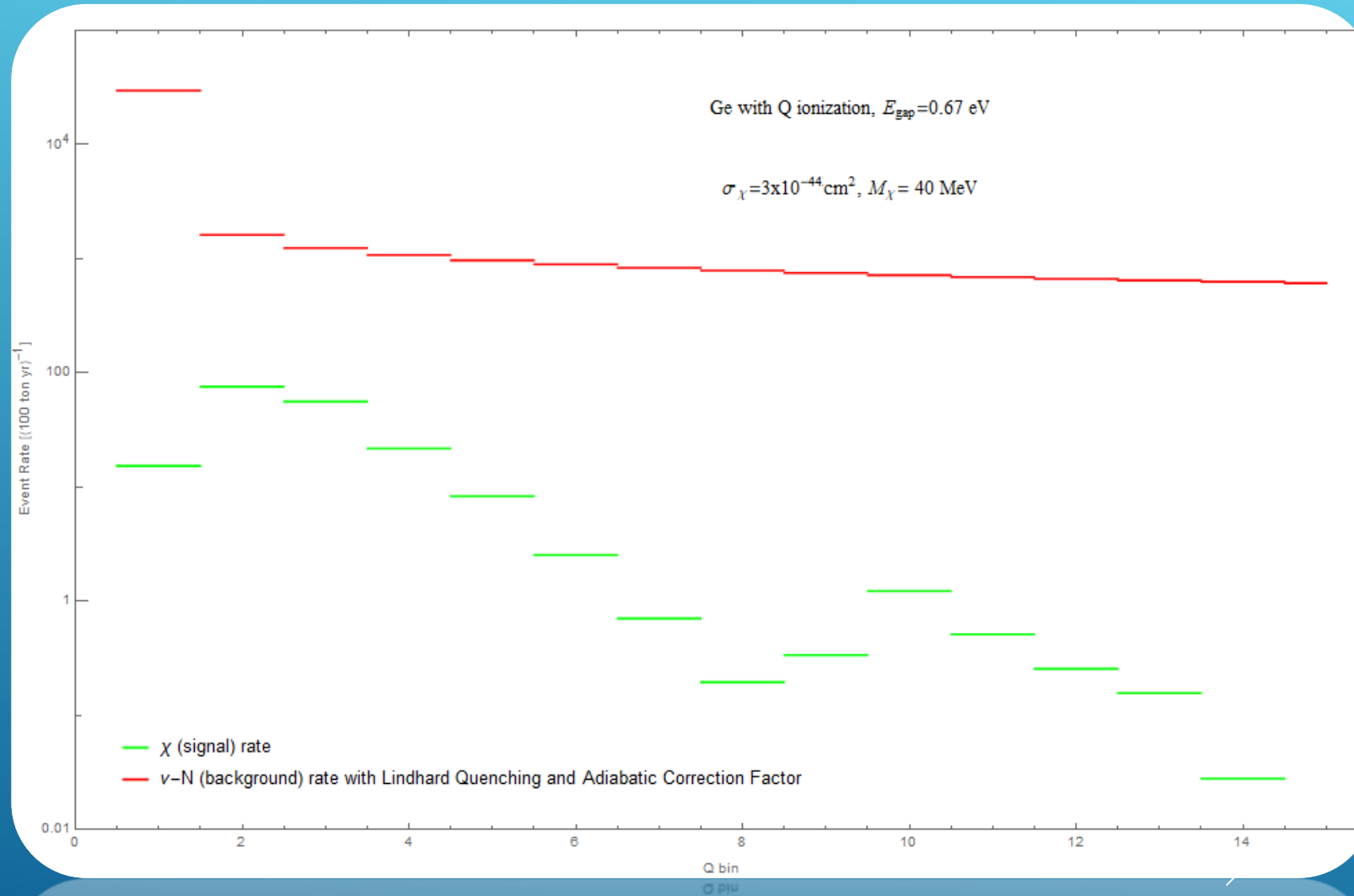
$$F_{AC}(E_r, \xi) = 1 - \exp[-E_r/\xi]$$

RECOIL ENERGY TO DETECTOR SIGNAL



MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

RECOIL ENERGY TO DETECTOR SIGNAL



MOTIVATION – SIGNAL – BACKGROUND – DETECTOR – STATISTICS – LIMITS – CONCLUDE

STATISTICAL ANALYSIS

○ LIKELIHOOD FUNCTIONS

- Likelihood of the observed data with hypothesized model

$$\mathcal{L}(\sigma_\chi, \vec{\phi}) = \frac{e^{-(\mu_\chi + \sum_{j=1}^{n_\nu} \mu_\nu^j)}}{N!} \prod_{i=1}^N \left[\mu_\chi f_\chi(E_{r_i}) + \sum_{j=1}^{n_\nu} \mu_\nu^j f_\nu^j(E_{r_i}) \right] \prod_{i=1}^{n_\nu} \mathcal{L}_i(\phi_i)$$

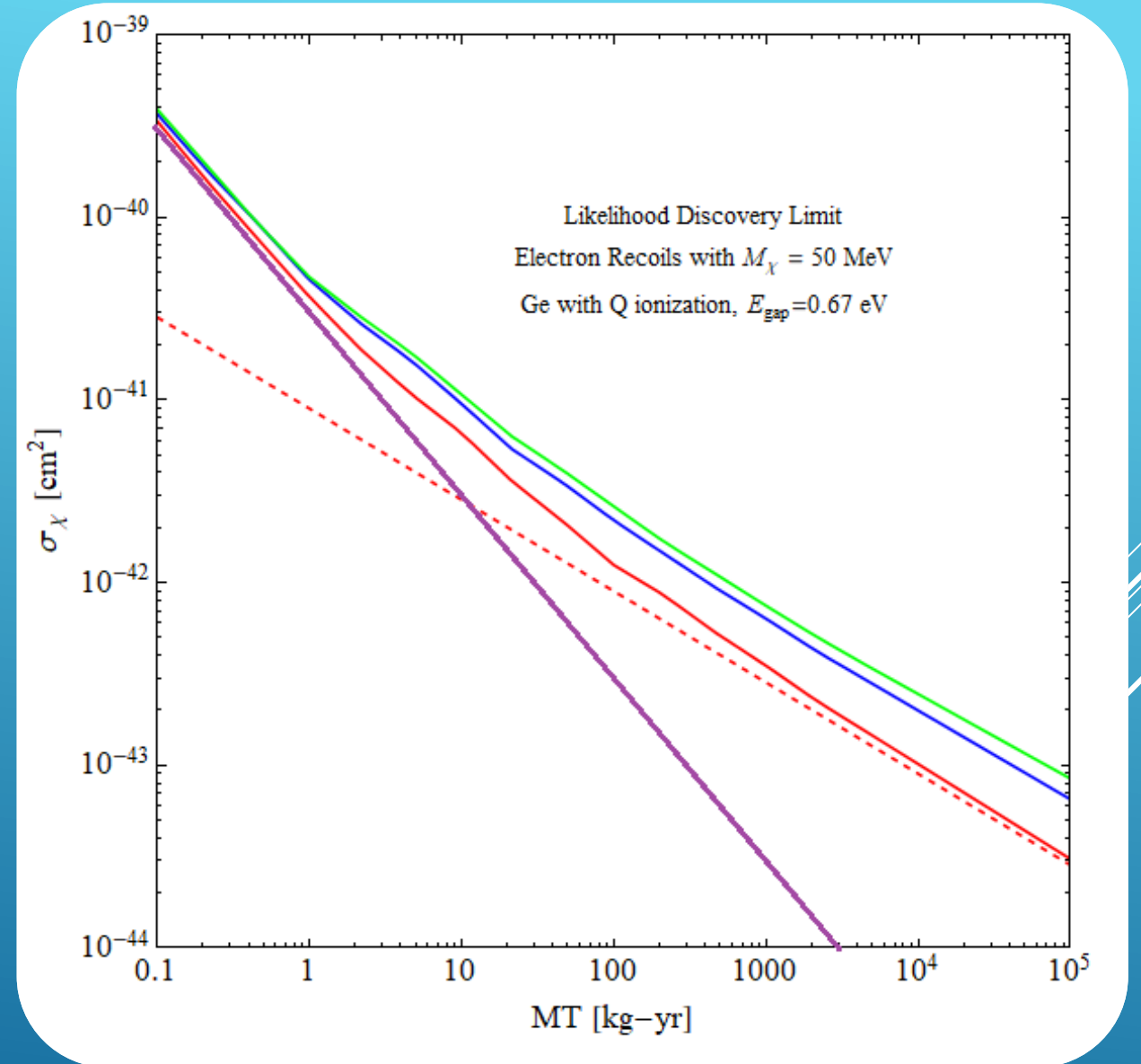
$$\lambda(0) = \frac{\mathcal{L}(\sigma_\chi = 0, \hat{\vec{\phi}})}{\mathcal{L}(\hat{\sigma}_\chi, \hat{\vec{\phi}})}$$

$$q_0 = -2 \log \lambda(0)$$

DISCOVERY LIMITS

- EFFECT OF IONIZATION MODEL
- REGIMES OF DISCOVERY LIMIT VS EXPOSURES
 - $1/MT$
 - $1/MT^{0.5}$
 - Beyond (Extreme Exposures)

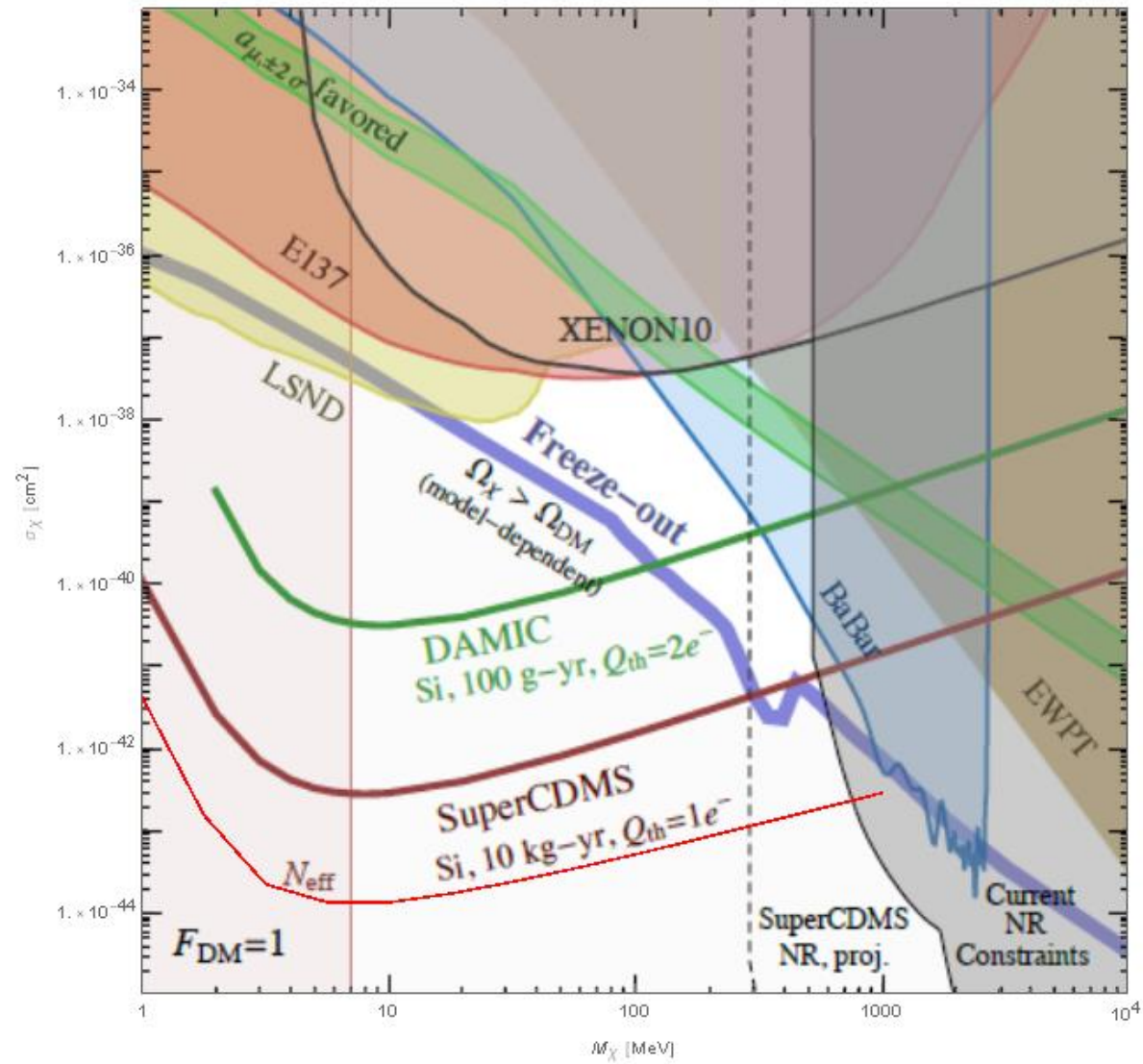
- Discovery Limit Lindhard with FAC
- MT^{-1}
- - - $MT^{-0.5}$
- Discovery Limit Lindhard without FAC
- Discovery Limit With 15% Quenching



DISCOVERY LIMITS

○ RED CURVE

- 100 ton-yr exposure
- DM-electron scattering signal
- Neutrino-nuclear and electron scattering background.
 - Lindhard Quenching model with adiabatic correction factor for modeling of nuclear scattering to ionization



CONCLUSION

- FUTURE WORK

- REFERENCES

- Essig, Mardon, Volansky. “Direct Detection of Sub-GeV Dark Matter”. SLAC-PUB-14538.
- Essig, Fernandez-Serra, Mardon, Soto, Volansky, Yu. “Direct Detection of sub-GeV Dark Matter with Semiconductor Targets”. arXiv 1509.01598v2.
- Billard, Figueroa-Feliciano, Strigari. “Implication of neutrino backgrounds on the reach of next generation dark matter direct detection experiments”. arXiv 1307.5458v3.

- QUESTIONS