

Magnetismo e efeitos calóricos em sólidos: aspectos básicos

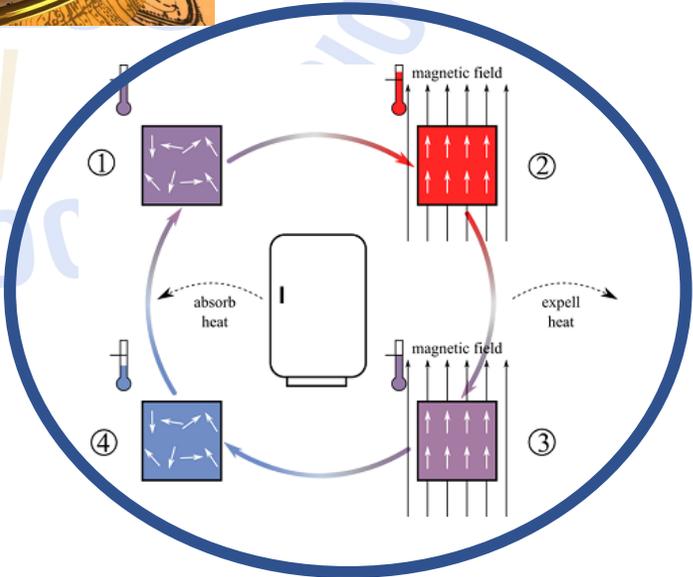
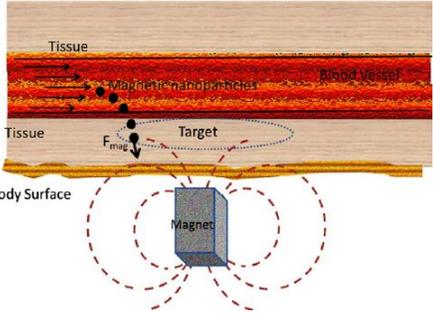
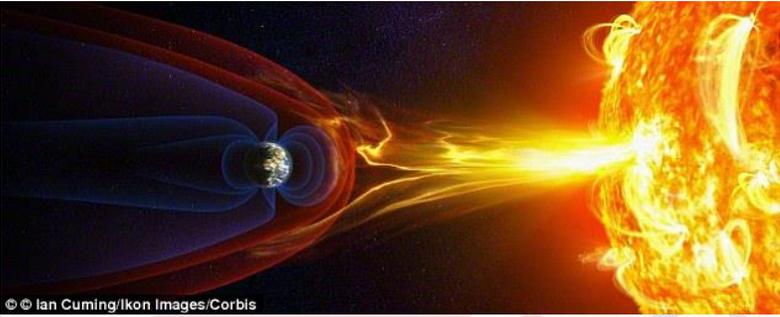
Profº Bruno Alho

Profº Vinícius S. R. de Sousa

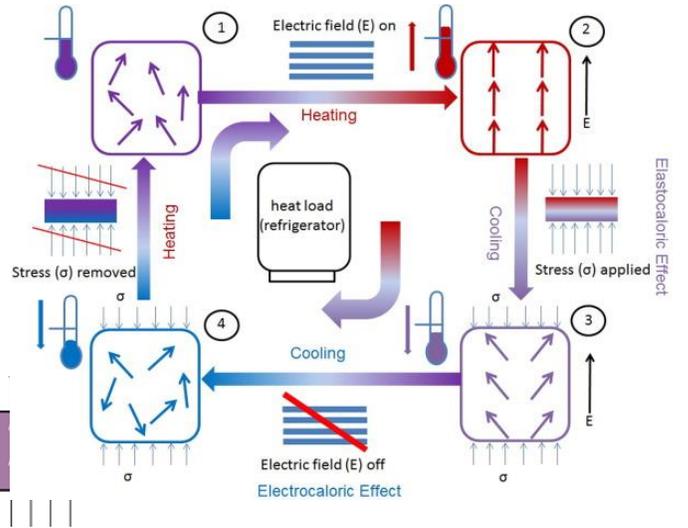
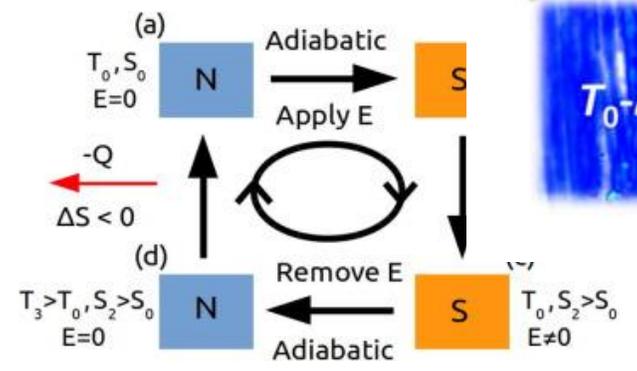
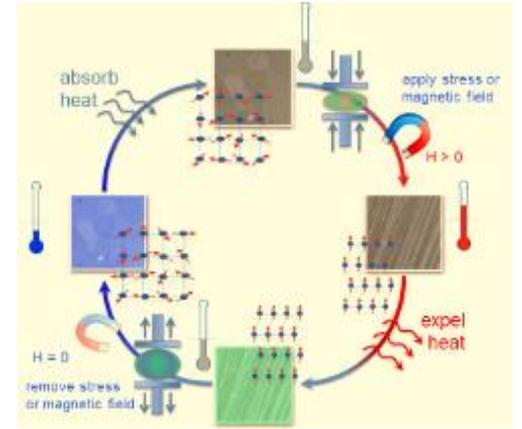
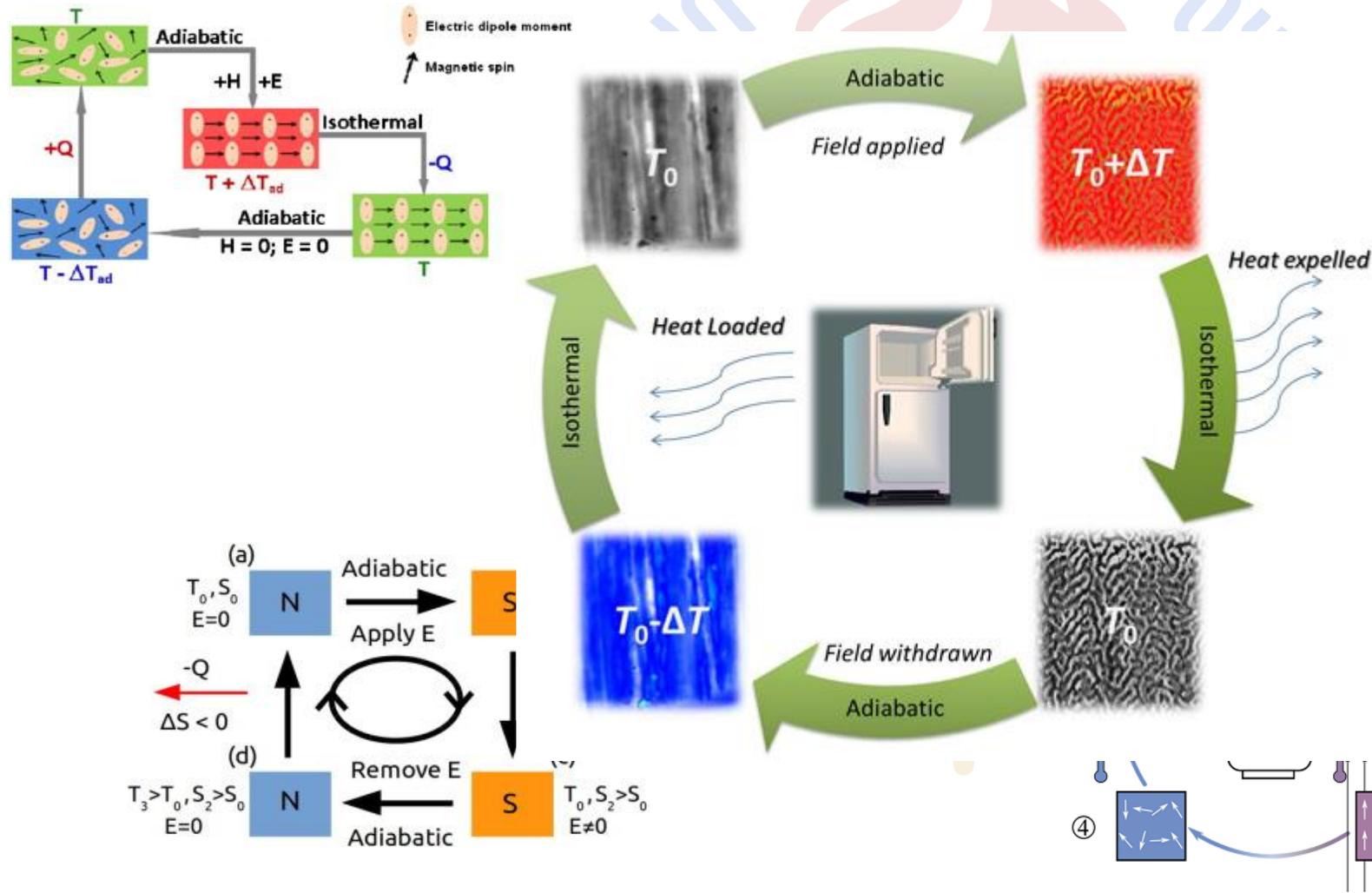


2ª ESCOLA DA
PÓS-GRADUAÇÃO
EM FÍSICA DA UERJ

Introdução



Introdução

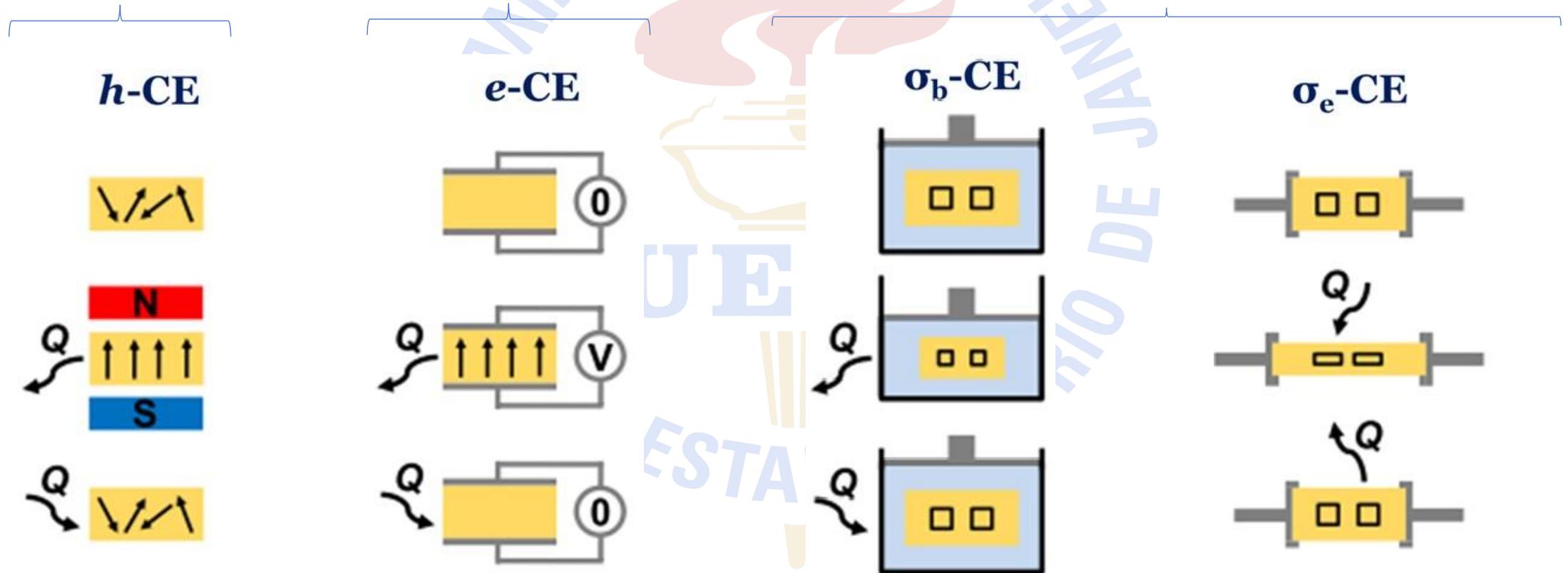


Efeitos “i”-calóricos

magnetocalórico

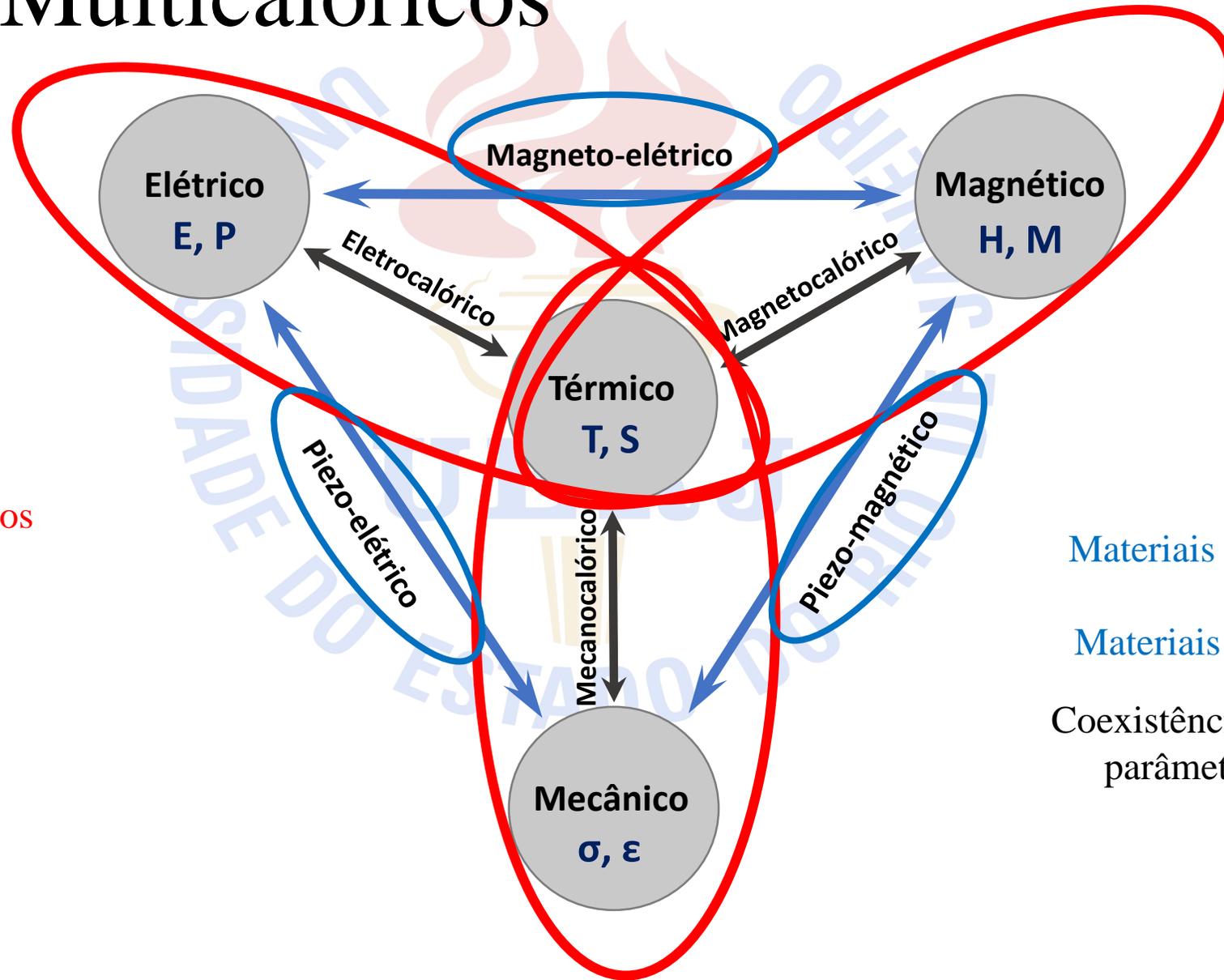
eletrocalórico

mecanocalórico



“i” – variáveis termodinâmicas intensivas

Efeitos Multicalóricos

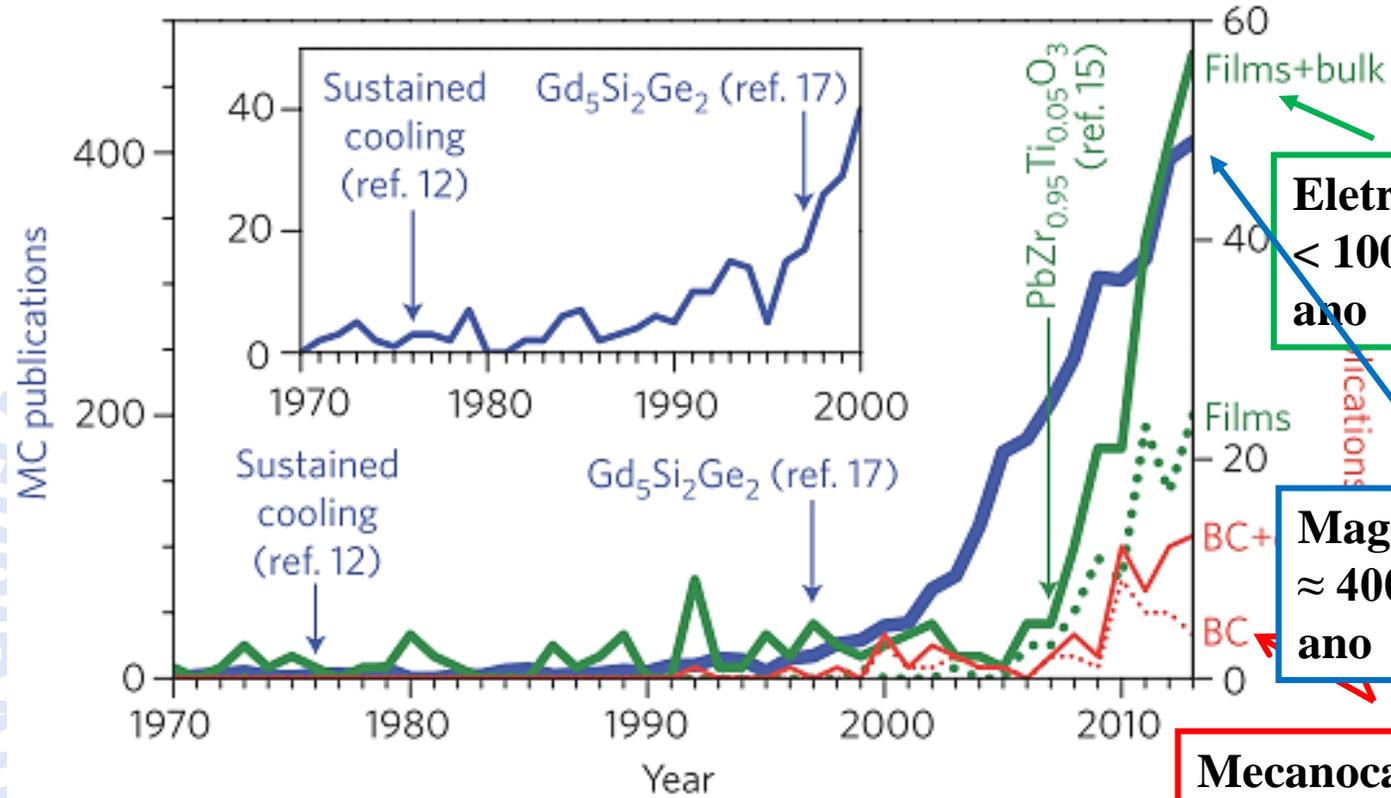


Materiais “i”-calóricos

Materiais Multicalóricos
ou
Materiais Multiferróicos

Coexistência de ao menos 2
parâmetros de ordem

Publicações



Electrocalórico
 < 100 artigos por ano

Magnetocalórico
 ≈ 400 artigos por ano

Mecanocalórico
 < 20 artigos por ano

Giant Magnetocaloric Effect in $Gd_5(Si_2Ge_2)$

V. K. Pecharsky and K. A. Gschneidner, Jr.

Ames Laboratory and Department of Materials Science and Engineering, Iowa State University, Ames, Iowa 50011-3020
 (Received 22 November 1996)

An extremely large magnetic entropy change has been discovered in $Gd_5(Si_2Ge_2)$ when subjected to a change in the magnetic field. It exceeds the *reversible* (with respect to an alternating magnetic field) magnetocaloric effect in any known magnetic material by at least a factor of 2, and it is due to a first order [ferromagnetic (I) \leftrightarrow ferromagnetic (II)] phase transition at 276 K and its unique magnetic field dependence. [S0031-9007(97)03321-8]

Giant Electrocaloric Effect in Thin-Film $PbZr_{0.95}Ti_{0.05}O_3$

A. S. Mischenko,^{1*} Q. Zhang,² J. F. Scott,³ R. W. Whatmore,² N. D. Mathur¹

An applied electric field can reversibly change the temperature of an electrocaloric material under adiabatic conditions, and the effect is strongest near phase transitions. We demonstrate a giant electrocaloric effect (0.48 kelvin per volt) in 350-nanometer $PbZr_{0.95}Ti_{0.05}O_3$ films near the ferroelectric Curie temperature of 222°C. A large electrocaloric effect may find application in electrical refrigeration.

Entropia

“ Φ ” – Campo magnético, elétrico ou ~~pressão~~ ^{tensão}.

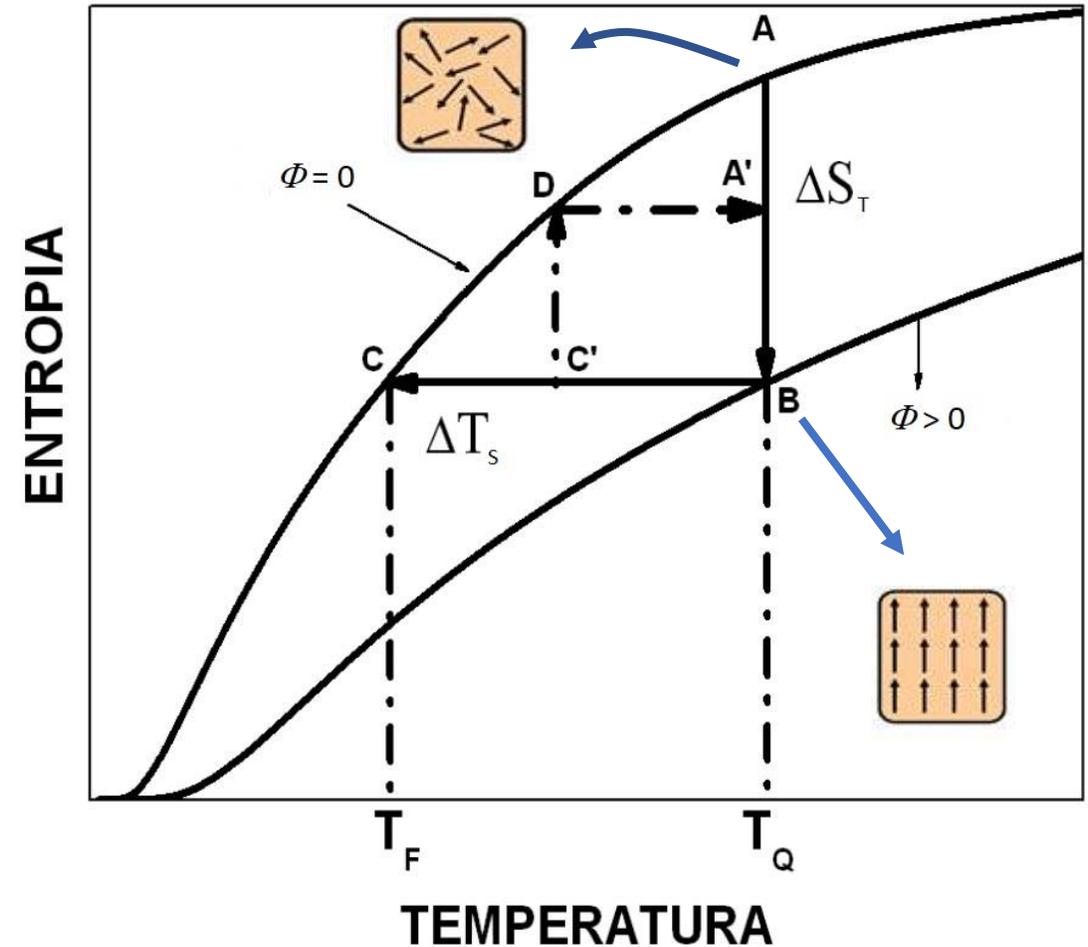
ΔS_T – Variação isotérmica da entropia.

ΔT_S – Variação adiabática da entropia.

Relembrando:

Segunda lei da termodinâmica:

$$dS \begin{matrix} \geq \\ \leq \end{matrix} \frac{\delta Q}{T}$$



Termodinâmica

Para o efeito magnetocalórico:

$$S = S(T, H)$$

Processo isotérmico $= 0$

$$dS = \left(\frac{\partial S}{\partial T}\right)_H dT + \left(\frac{\partial S}{\partial H}\right)_T dH$$

Relação de Maxwell

$$\left(\frac{\partial M}{\partial T}\right)_T$$

Retornando...

$$dS = \left(\frac{\partial M}{\partial T}\right)_T dH \quad \text{Integrando...}$$

$$\Delta S_T = \int_{H_1}^{H_2} \left(\frac{\partial M}{\partial T}\right)_T dH$$

Relembrando:

$$dU = dQ - dW \quad (1^a \text{ Lei})$$

$$dQ = TdS \quad (2^a \text{ Lei})$$

O trabalho magnético:

$$dW = MdH$$

$$dU = TdS - MdH$$

A energia livre de Helmholtz:

$$F = U - TS$$

$$dF = dU - TdS - SdT$$

$$dF = -SdT - MdH$$

Como, $F = F(T, H)$:

$$dF = \left(\frac{\partial F}{\partial T}\right)_H dT + \left(\frac{\partial F}{\partial H}\right)_T dH$$

$$S = -\left(\frac{\partial F}{\partial T}\right)_H$$

$$M = -\left(\frac{\partial F}{\partial H}\right)_T$$

Relação de Maxwell

$$\left(\frac{\partial S}{\partial H}\right)_T = \left(\frac{\partial M}{\partial T}\right)_H$$

Termodinâmica

Relações de Maxwell para o efeito magnetocalórico:

$$dS = \left(\frac{\partial S}{\partial T}\right)_H dT + \left(\frac{\partial S}{\partial H}\right)_T dH$$

$$dQ = \underbrace{T \left(\frac{\partial S}{\partial T}\right)_H}_{C_p} dT + \underbrace{T \left(\frac{\partial S}{\partial H}\right)_T}_{\left(\frac{\partial M}{\partial T}\right)_H} dH$$

= 0

Processo adiabático

$$\frac{C_p}{T}$$

$$\left(\frac{\partial M}{\partial T}\right)_H$$

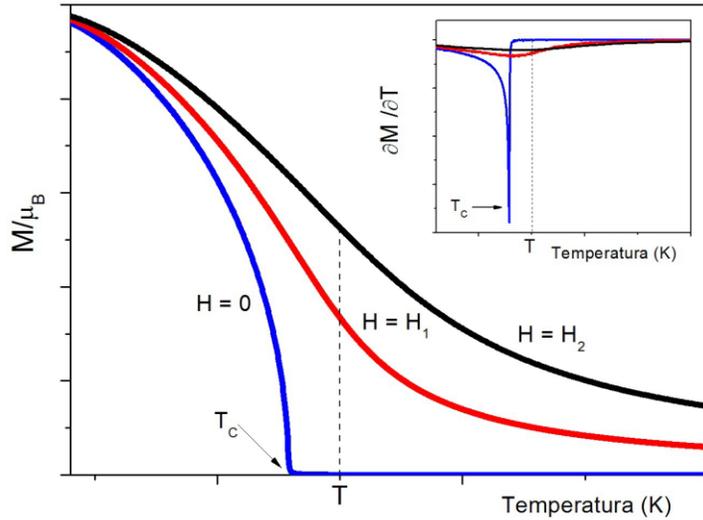
$$dT = -\frac{T}{C_p} \left(\frac{\partial M}{\partial T}\right)_H dH \quad \text{Integrando...}$$

$$\Delta T_S = - \int_{H_1}^{H_2} \frac{T}{C_p(T, H)} \left(\frac{\partial M}{\partial T}\right)_H dH$$

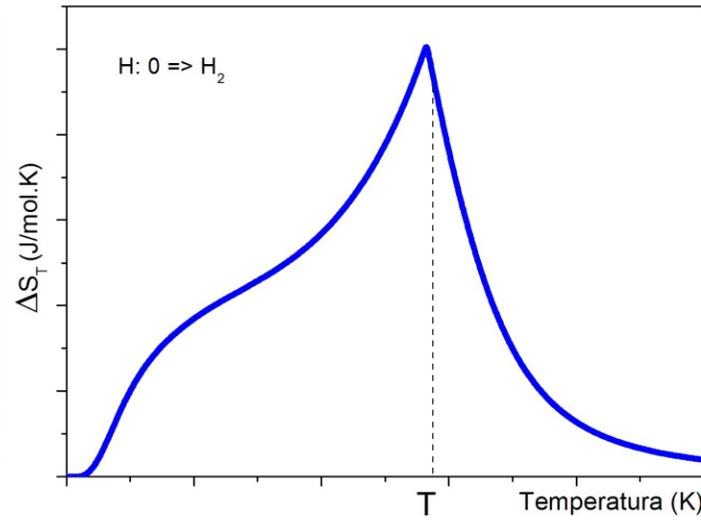
$$\Delta S_T = \int_{H_1}^{H_2} \left(\frac{\partial M}{\partial T}\right)_T dH$$

Relações de Maxwell

Segunda Ordem



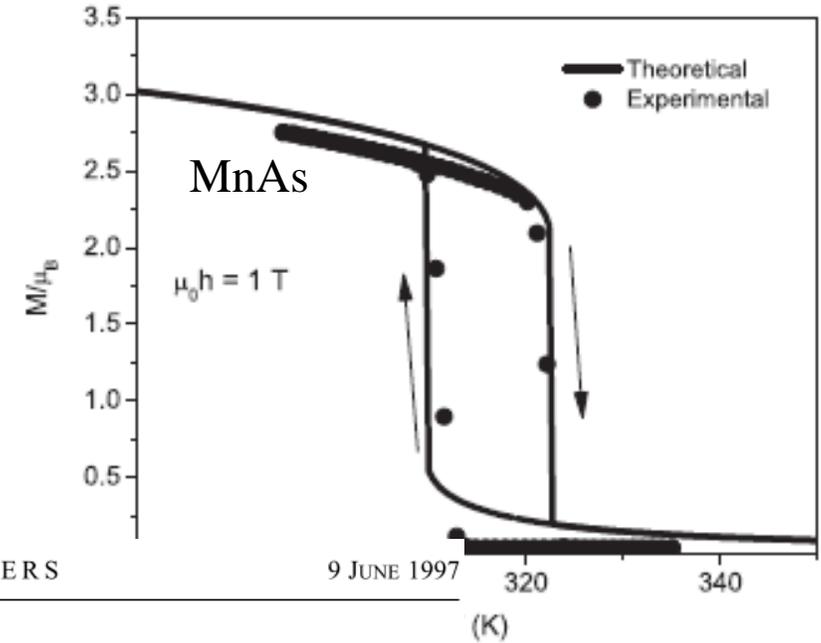
ΔT_{ad}



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PHYSICAL REVIEW LETTERS

Primeira Ordem



9 JUNE 1997

320

340

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$$S = - \left(\frac{\partial F}{\partial T} \right)_H$$

$$M = - \left(\frac{\partial F}{\partial H} \right)$$

$$C_p = T \left(\frac{\partial S}{\partial T} \right)_H$$

$$dS \geq \frac{\delta Q}{T}$$

Hamiltoniano

$$H = - \sum_{i,j} \tilde{J}_{ij} \vec{J}_i \cdot \vec{J}_j - \sum_i g \mu_B \vec{B} \cdot \vec{J}_i$$

$$\Delta \vec{J} = \vec{J} - \langle \vec{J} \rangle$$

Aproximações:

$$H = - \sum_{i,j} \tilde{J}_{ij} (\Delta \vec{J}_i + \langle \vec{J} \rangle) (\Delta \vec{J}_j + \langle \vec{J} \rangle) - \sum_i g \mu_B \vec{B} \cdot \vec{J}_i$$

Somatório realizado somente nos primeiros vizinhos.

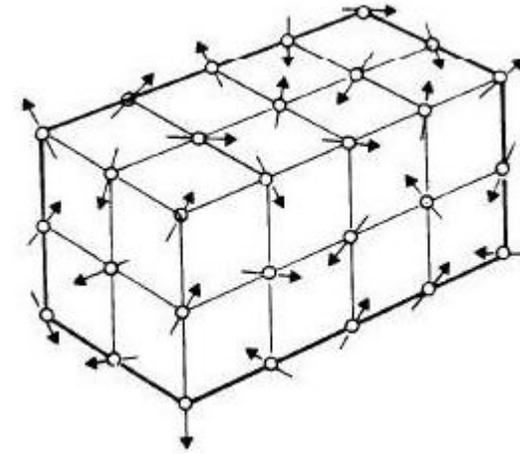
- Equivalência dos íons na rede.

$$H = - \sum_i Z \tilde{J} (\Delta \vec{J}_i + \langle \vec{J} \rangle) (\Delta \vec{J}_i + \langle \vec{J} \rangle) - \sum_i g \mu_B \vec{B} \cdot \vec{J}_i$$

$\Delta \vec{J}_i + \langle \vec{J} \rangle \approx 0$ $+ \tilde{J} \langle \vec{J} \rangle^2$

$$H = - \sum_i g \mu_B \vec{B}_{ef} \cdot \vec{J}_i$$

$$\vec{B}_{ef} = \vec{B} + \lambda \vec{M} \quad \vec{M} = N g \mu_B \langle \vec{J} \rangle \quad \lambda = \frac{2Z\tilde{J}}{N g^2 \mu_B^2}$$



Forma Matricial

Hamiltoniano por íon:

$$H = -g\mu_B \vec{B}_{ef} \cdot \vec{J}$$

Exemplo Gd^{3+} :

Operadores de momento angular:

$$J_z |m\rangle = m|m\rangle$$

$$m = -J, -J + 1, \dots, J - 1, J$$

	$ -7/2 \rangle$	$ -5/2 \rangle$	$ -3/2 \rangle$	$ -1/2 \rangle$	$ 1/2 \rangle$	$ 3/2 \rangle$	$ 5/2 \rangle$	$ 7/2 \rangle$
$\langle -7/2 $	$-7/2$	0	0	0	0	0	0	0
$\langle -5/2 $	0	$-5/2$	0	0	0	0	0	0
$\langle -3/2 $	0	0	$-3/2$	0	0	0	0	0
$\langle -1/2 $	0	0	0	$-1/2$	0	0	0	0
$\langle 1/2 $	0	0	0	0	$1/2$	0	0	0
$\langle 3/2 $	0	0	0	0	0	$3/2$	0	0
$\langle 5/2 $	0	0	0	0	0	0	$5/2$	0
$\langle 7/2 $	0	0	0	0	0	0	0	$7/2$

} $(2J + 1) \times (2J + 1)$

Grandezas termodinâmicas

Passo a passo para determinar as grandezas de interesse:

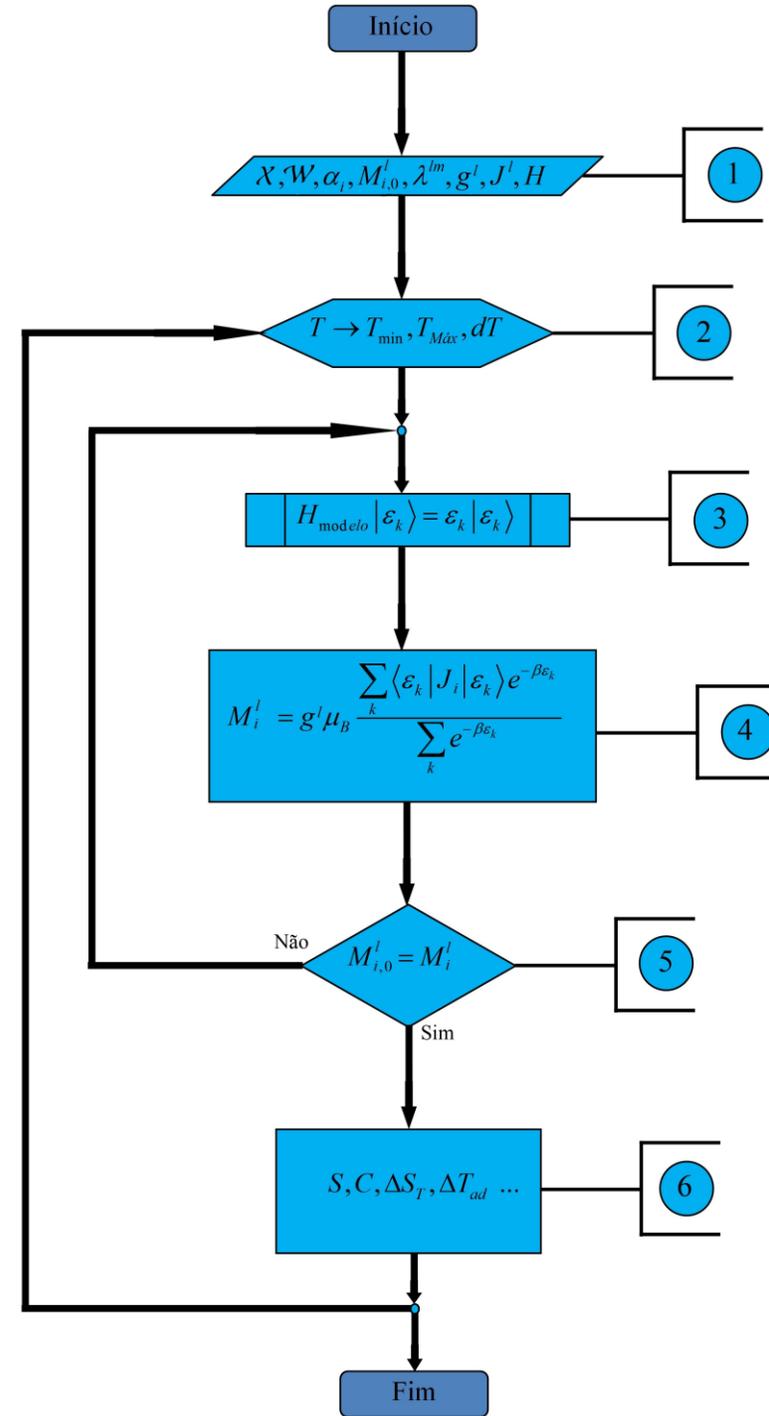
- Determinar o hamiltoniano modelo.
- Determinar os autovalores e autovetores.
- Determinar a magnetização e as demais grandezas de interesse.

$$M = NgJ\mu_B B_J(x)$$

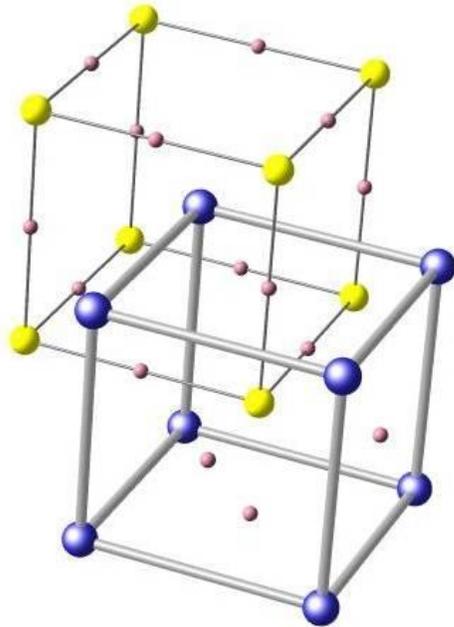
$$x = \frac{g\mu_B J(B + \lambda M)}{k_B T}$$

$M = M(T, B, M)$ → Método autocons

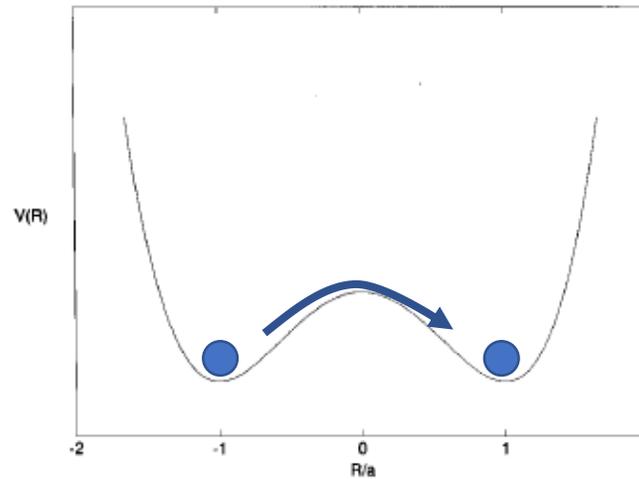
Chute inicial para magnetizaç



Modelos “tipo-Ising”



BaTiO₃



Modelo “TIM”:

$$H^e = -\sum_k \Omega \sigma_k^x - \sum_{k,l} J_{kl} \sigma_k^z \sigma_l^z - 2E \sum_k \mu \sigma_k^z$$

Matrizes de Pauli

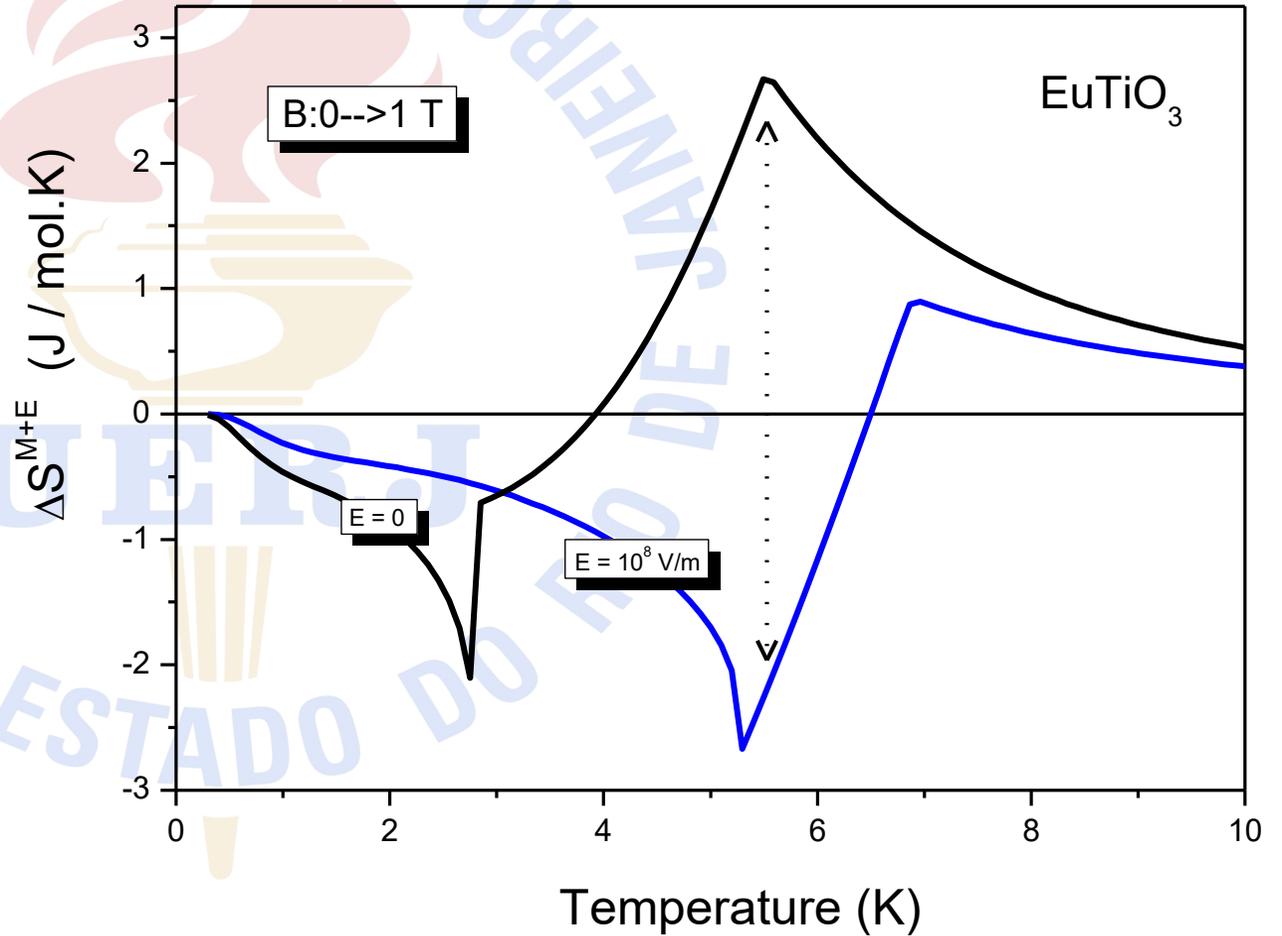
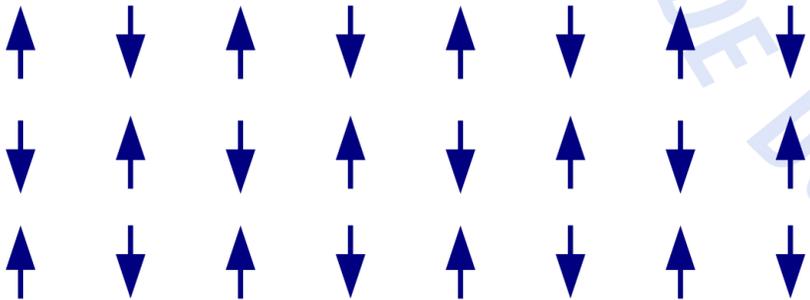
Descreve os ferroelétricos!

Multiferróico – EuTiO_3

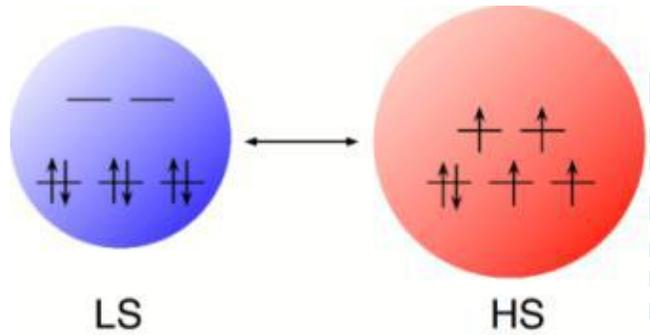
Antiferromagnético

Paraelétrico

Acoplamento magnetoelétrico

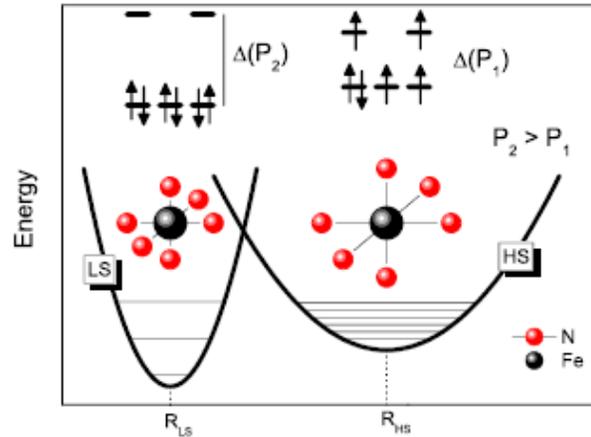


Cristais orgânicos



$$\Delta S_{mag}^{Max} = R \ln(2S + 1)$$

$$\Delta S_{mag}^{Max} \approx 13.38 \frac{J}{mol \cdot K}$$



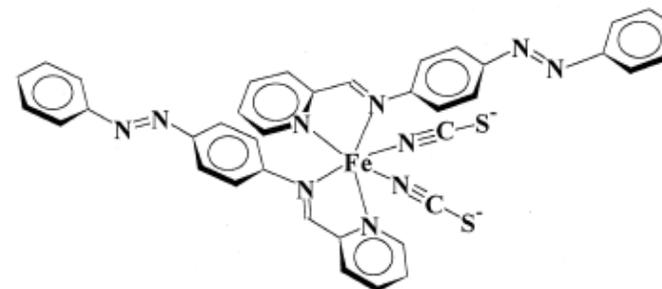
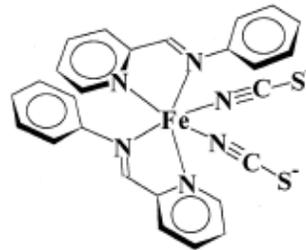
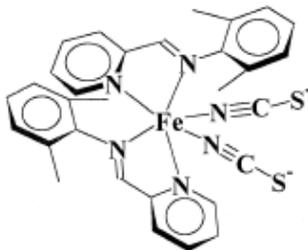
Enthalpy changes $\Delta H = H_{HS} - H_{LS}$ are typically 10 to 20 kJ mol⁻¹, and entropy changes $\Delta S = S_{HS} - S_{LS}$ are on the order of 50 to 80 J mol⁻¹ K⁻¹ [22]. The thermally induced ST is

König, E. *Struct. Bonding* 1991, 76, 51.

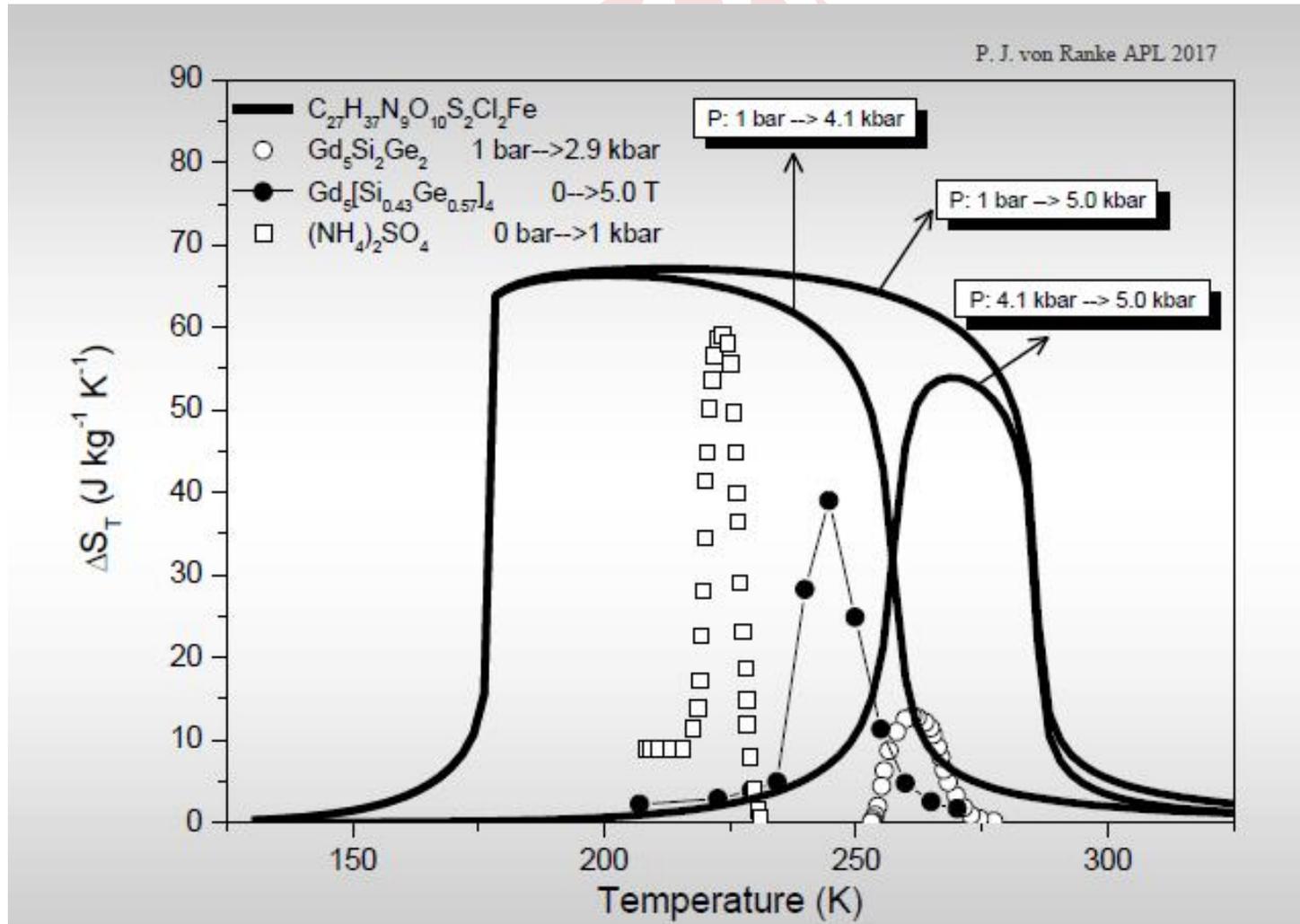
Operador fictício de Spin

$$H = -h \sum_i \sigma_i - \sum_{i,j} \tilde{J}_{ij} \sigma_i \sigma_j + \frac{1}{2} K V_{LS} \omega^2$$

$$h = - \left(\Delta + \delta V_{LS} - \frac{K_B T}{2} \ln \left(\frac{g_{HS}}{g_{LS}} \right) \right)$$



Cristais orgânicos



Obrigado!!!

Interessados? nos procurem!

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