

Relativistic X-ray jets at high redshift and a connection to super-massive black holes

Dan Schwartz

Smithsonian Astrophysical Observatory
Chandra X-ray Center
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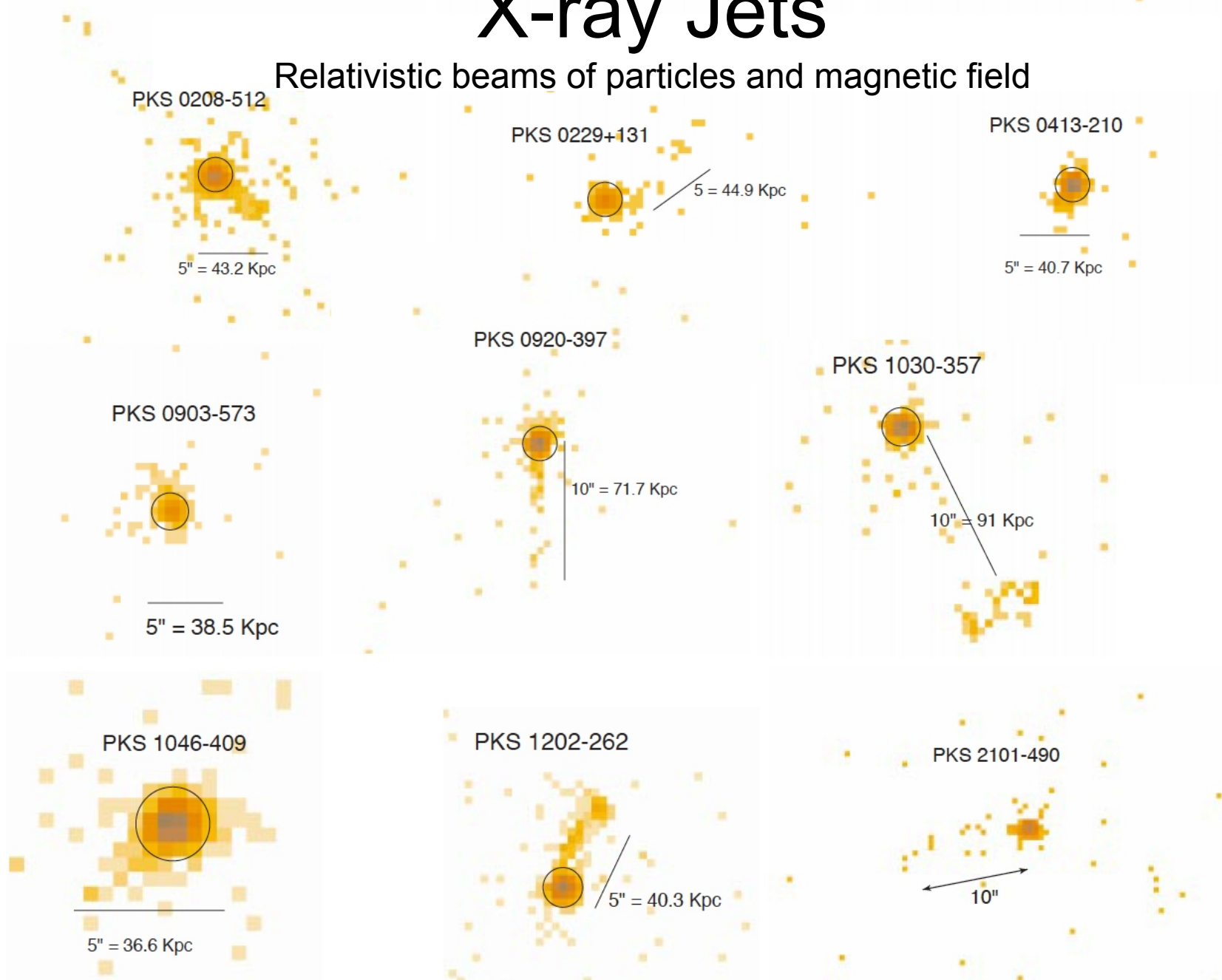


A. Siemiginowska (SAO), D. M. Worrall (Bristol), M. Birkinshaw (Bristol) ,
C. C. Cheung (NRL), H. Marshall (MIT),
G. Migliori (Univ. Paris), J. Wardle (Brandeis), D. Gobeille (URI)



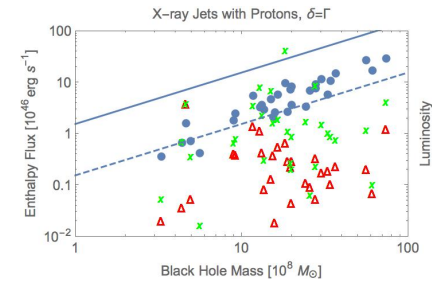
X-ray Jets

Relativistic beams of particles and magnetic field



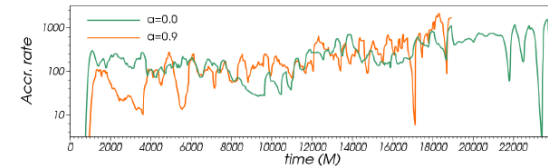
Jets are important

1. The energy carried by jets is an important part of the energy budget of the black hole.



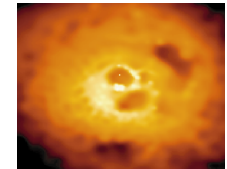
Schwartz+ [2015IAUS..313..219S](#)

2. Jets can carry super Eddington energy flux. May be relevant to the rapid growth of SMBH in the early universe by allowing super Eddington accretion.



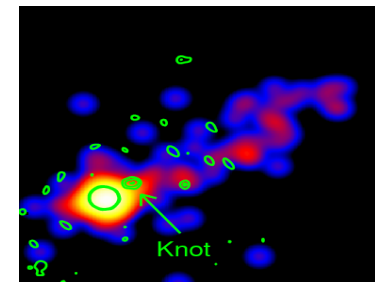
[Sadowski et al. 2014](#)

3. The enthalpy flux carried by jets prevents catastrophic collapse of clusters of galaxies, and is part of a feedback loop correlating SMBH with galaxy bulge masses.



Fabian et al. 2000

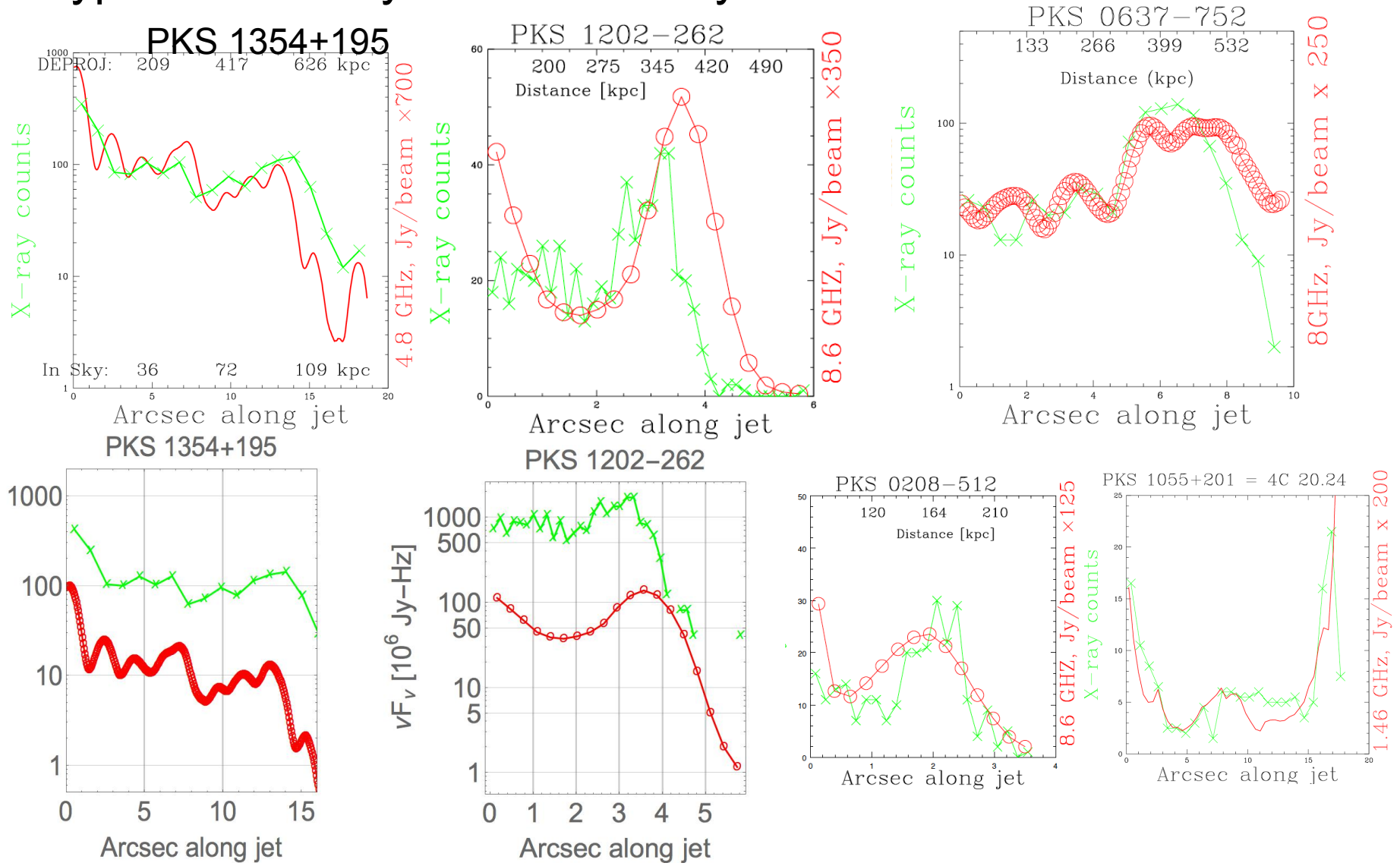
4. Inverse Compton jets will maintain near constant surface brightness at very large redshifts. May serve as "beacons" in the early universe.



Simionescu et al. 2016

X-ray and radio jet morphology match

Hypothesize they are radiated by the same electron population



X-rays are more luminous than radio for much of jet

Inverse Compton scattering of the cosmic microwave background

Extension of the spectrum of radio synchrotron electrons to lower energy produces IC X-rays by scattering off the CMB.

For Relativistic jets, we must transform using the Doppler factor:

$$\delta = 1/(\Gamma(1-\beta \cos\theta))$$

Assume minimum energy: $d\{B^2/(8\pi)+U_{rel}\}/dB = 0$

Projection and Light travel time: $\text{Volume} = V_{obs}/(\delta \sin\theta)$

CMB energy density is enhanced by Γ^2 in jet rest frame

Felten-Morrison ('66) IC formulas give

$$\langle u_{CMB} \rangle = 4aT^4 (\Gamma^2 - 1/4) / 3 \propto u_0 (1+z)^4 \Gamma^2$$

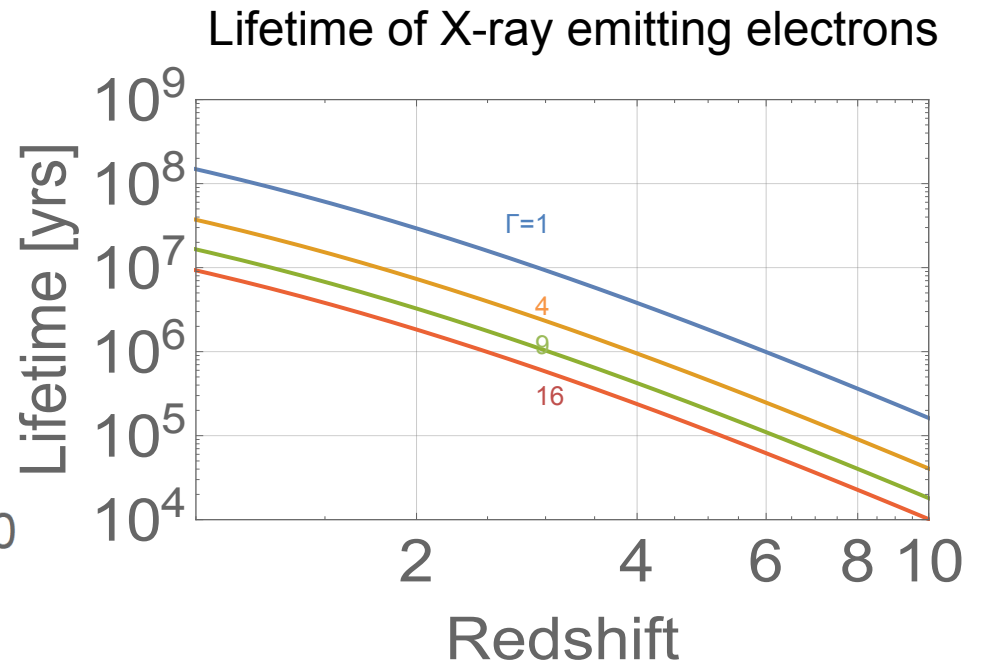
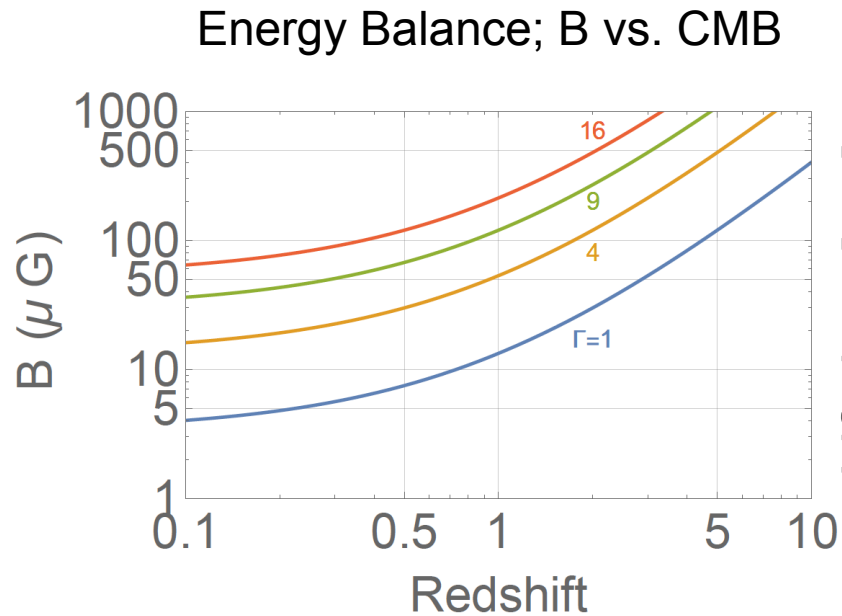
Cannot solve for all three quantities Γ , δ , and θ

1. Assume $\Gamma = \delta$ (maximum Γ is 2δ)

OR 2. Parameterize as a function of θ

$\Gamma = \delta$ often falls in a mid-range of reasonable θ

IC/CMB at high redshift

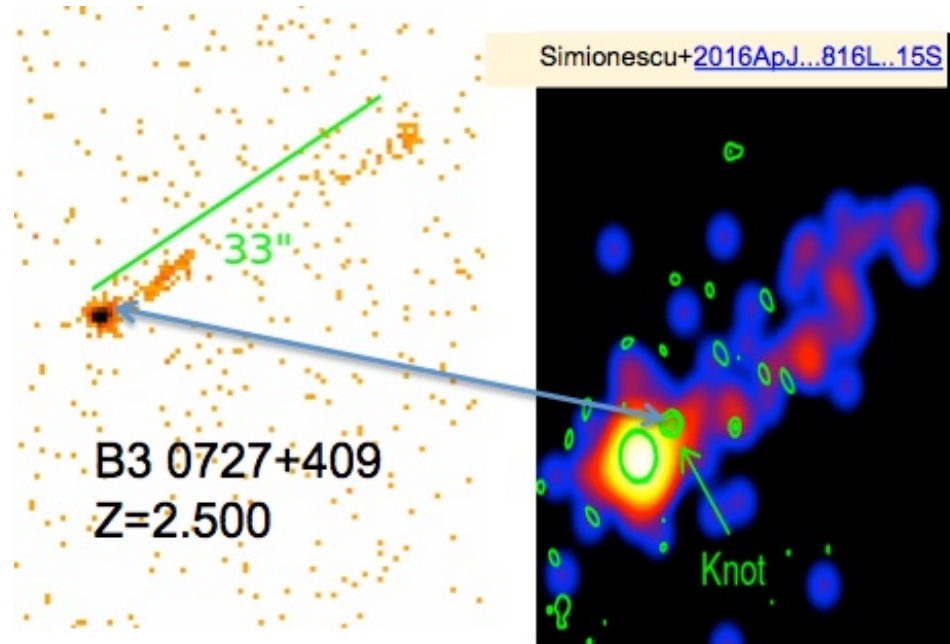


CMB energy density increases as $(1+z)^4$.

This compensates the cosmological diminution of surface brightness by $(1+z)^{-4}$.

Thus X-ray jets will become more prominent at large redshifts

X-ray Survey of High Redshift Radio Jets



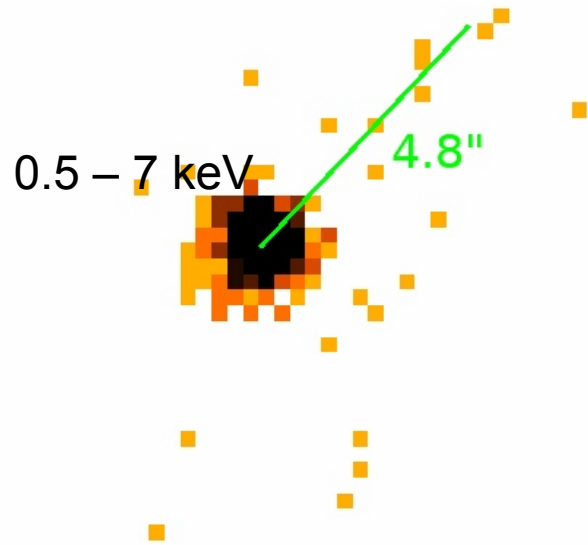
Parent Population: Complete survey, $S_{1.4 \text{ or } 5 \text{ GHz}} > 70 \text{ mJy}$

123 Quasars with spectroscopic redshift in joint FIRST/SDSS region
(Gobeille 2011; Gobeille, Wardle & Cheung 2014)

Cycle 19 Survey: 14 sources at $z > 3.$, with one-sided radio structure
(jet or knot or lobe).

Ten quasars observed to date. Two have extended X-ray structure without
underlying radio emission.

J1610+1811 Z=3.118



6.2 GHz



Quasar: $5.2 \times 10^{-13} \text{ erg cm}^{-2} \text{ s}^{-1}$
 $L_x = 3.2 \times 10^{46} \text{ erg s}^{-1}$

Jet: $9.2 \times 10^{-15} \text{ erg cm}^{-2} \text{ s}^{-1}$
 $L_x = 8.3 \times 10^{44} \text{ erg s}^{-1}$

iC/CMB model of jet:

$\Gamma = \delta = 9.4$

$B = 12.3 \text{ } \mu\text{Gauss}$

Power = $1.4 \times 10^{46} \text{ erg s}^{-1}$

$T_{ic} = 8500 \text{ yrs}$ (radio electrons)

Core: 64.8 mJy

Jet: < 1 mJy

Lobe: 8..2 mJy

Lobe Model: 145 μGauss

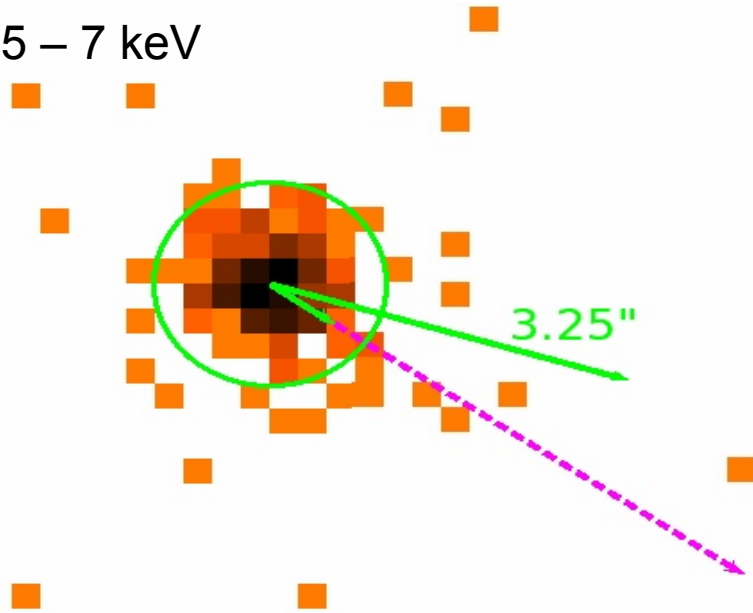
$4.2 \times 10^{58} \text{ ergs}$

$t_{fill} = 96,000 \text{ yrs}$

$t_s = 250,000 \text{ yrs.}$

J1405+0415 Z=3.209

0.5 – 7 keV



Quasar: $3.3 \times 10^{-13} \text{ erg cm}^{-2} \text{ s}^{-1}$
 $L_x = 3.1 \times 10^{46} \text{ erg s}^{-1}$

Jet: $8.6 \times 10^{-15} \text{ erg cm}^{-2} \text{ s}^{-1}$
 $L_x = 8.2 \times 10^{44} \text{ erg s}^{-1}$

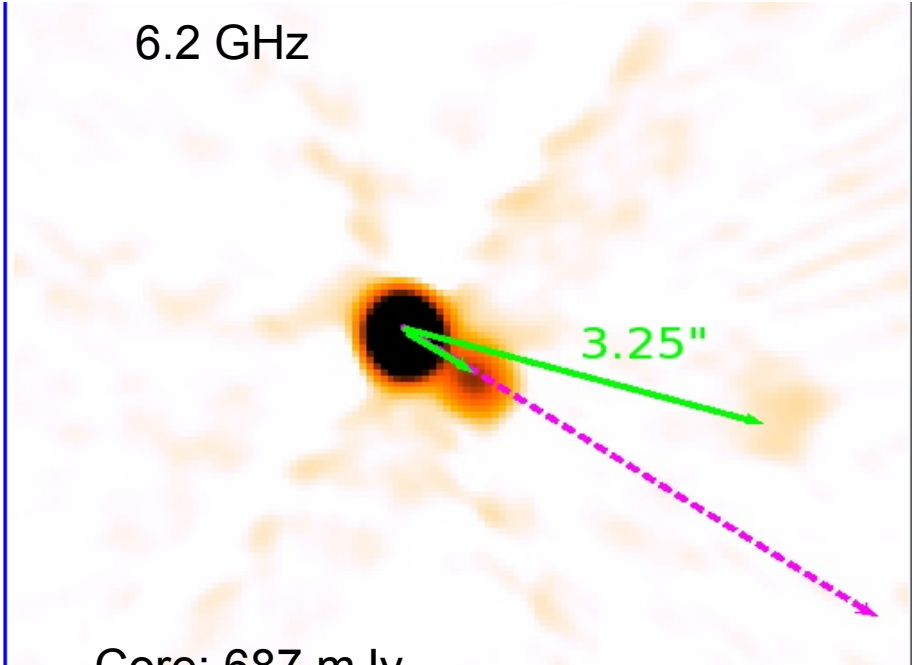
iC/CMB model:

$$\Gamma = \delta = 4$$

$B = 156 \mu\text{Gauss}$

Power = $35 \times 10^{46} \text{ erg s}^{-1}$

6.2 GHz



Core: 687 mJy
Yang+ 2008 758 mJy

Jet: 27.7 mJy
 $\alpha = 0.91 \pm 0.09$

Lobe: 2.9 mJy
 $\alpha = 1.66 \pm 0.40$

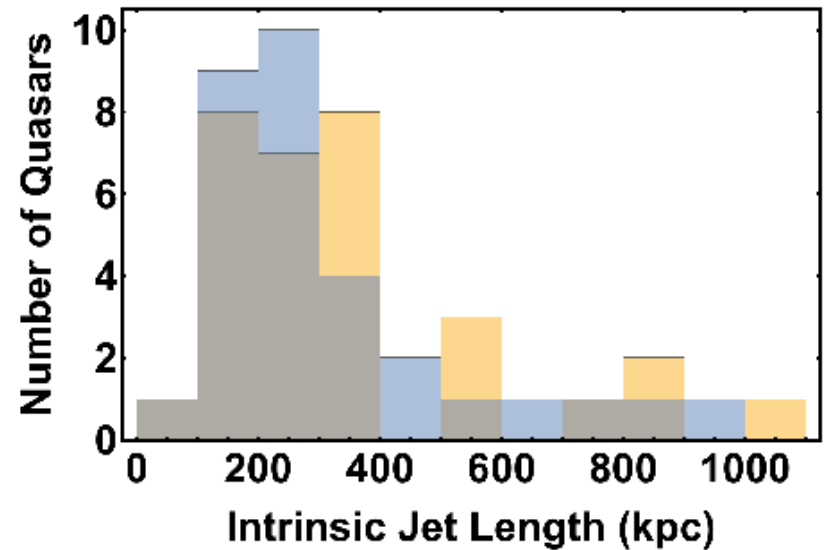
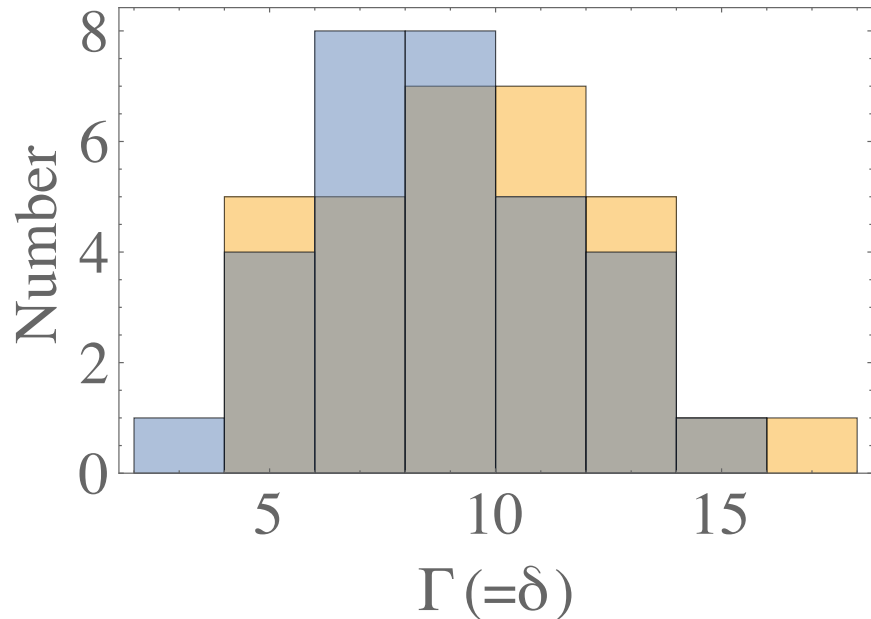
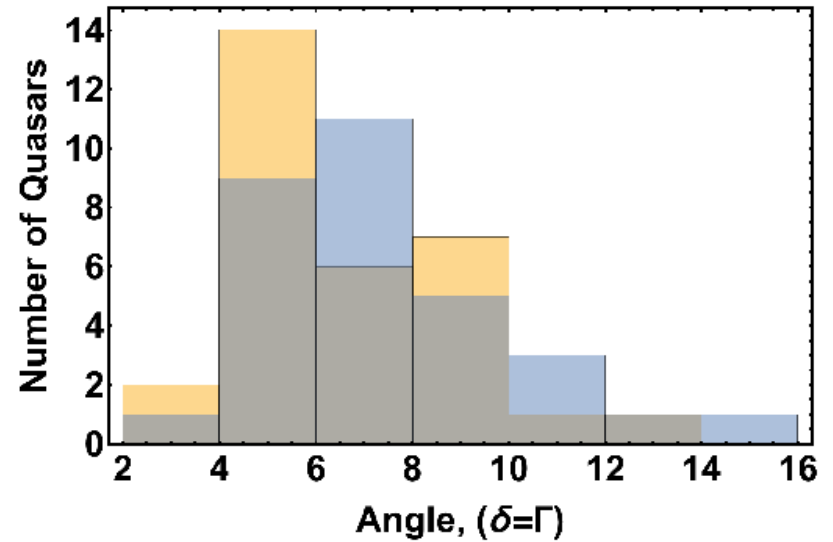
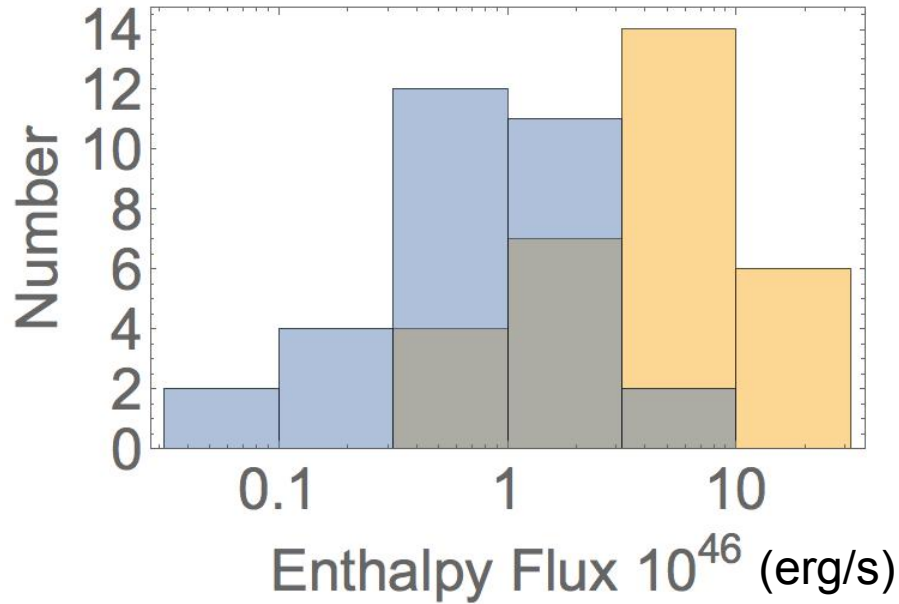
model:

X-ray Survey of Lower Redshift Radio Jets ($z = \sim 0.3 - 2.$)

1. Selection of flat spectrum radio sources from
 1. VLA , $S_5 > 1 \text{ jy}$
 2. ATCA, $S_{2.7} > 0.34 \text{ Jy}$
2. Radio jet longer than $2''$
3. Detect 31 of 52.

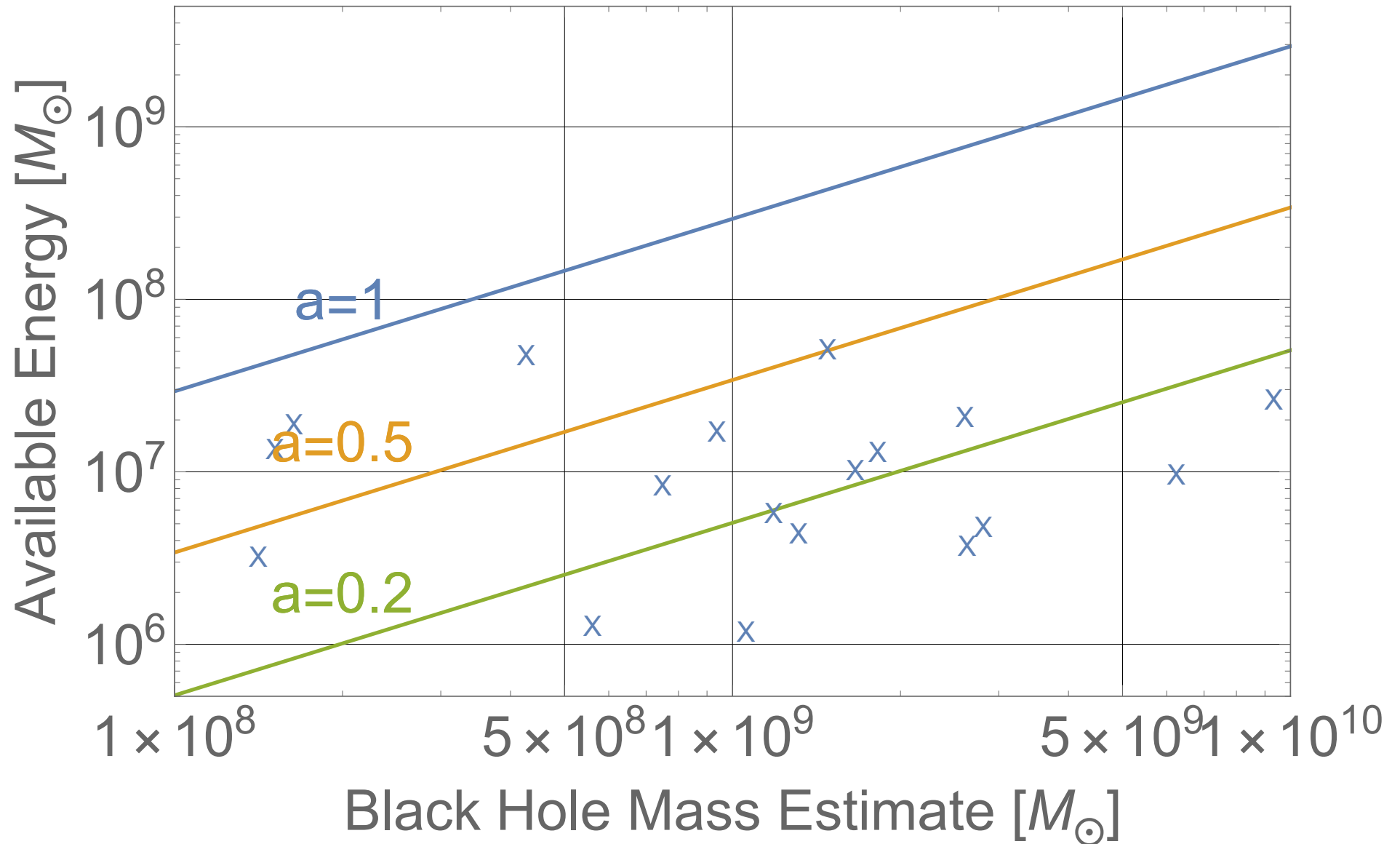
Lower Z Survey

Charge neutrality via Protons (orange) or Positrons (blue), $\Gamma = \delta$

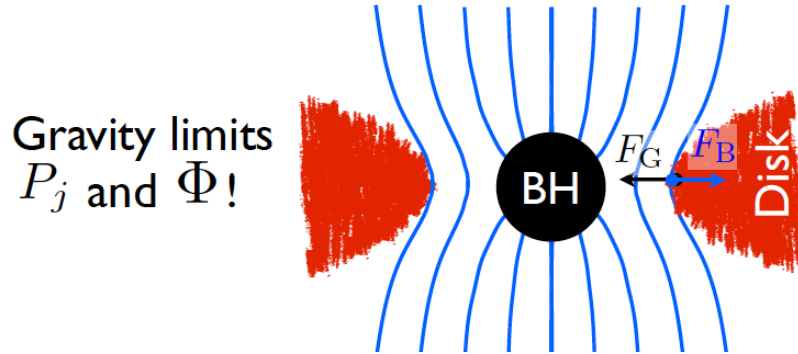


Black holes with spin $a > 0.2$ can power quasar jets for up to 10^7 yr
(alternate mass estimates, from Xiong+2014 and refs., Shen+2011)

Spin Powered Jets

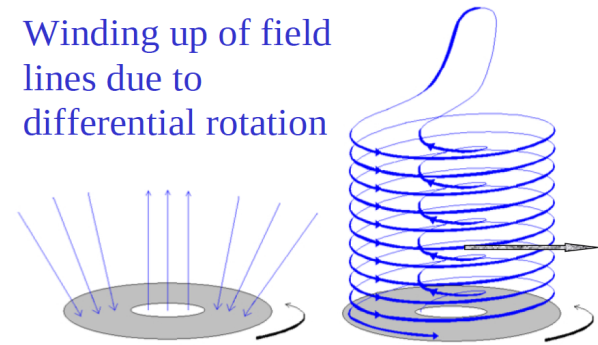


Tchekhovskoy, 2015, Krakow conf. relativistic jets



magnetic flux:
 $\Phi \sim B r_g^2$
 grav. radius:
 $r_g = GM/c^2$

Gabuzda, 2015, Krakow conf. relativistic jets



Assume a helical magnetic field extracts the rotational energy, winds tightly around the jet spin axis

Angle ξ between plane of (E,H) and plane orthogonal to spin axis

Poynting flux $dE/(dtdA) = S = c (E \times H) / 4\pi$

$$\langle \text{power} \rangle_z = S_z \pi r^2 = c H^2 (r^2/4) \sin(\xi)$$

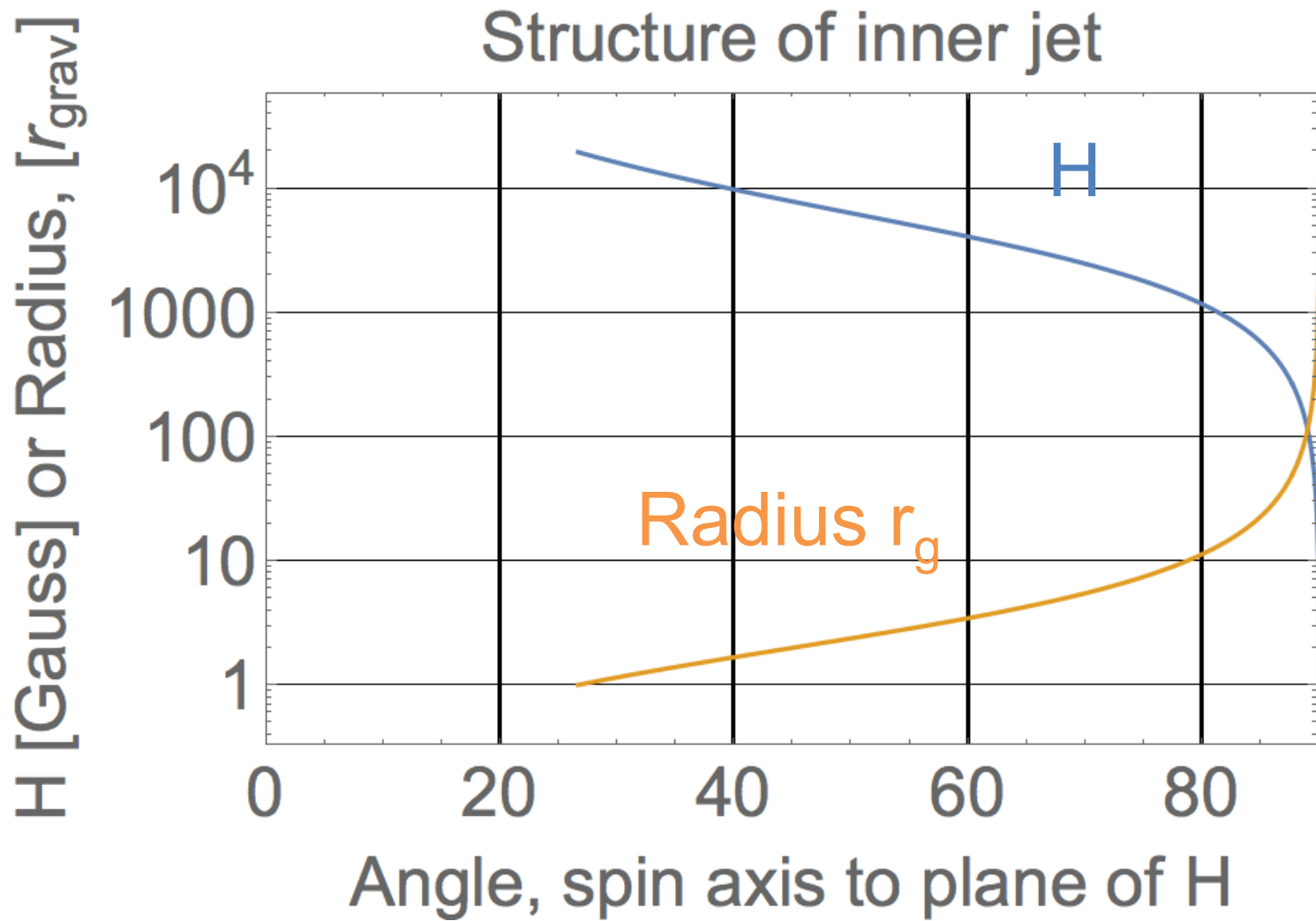
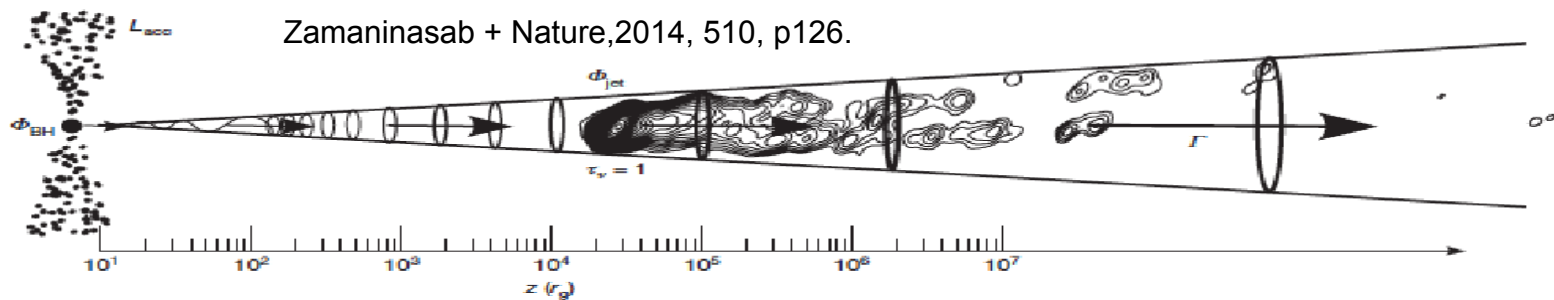
Momentum flux $p = S/c$

Angular momentum flux $dL/(dtdA) = r \times p$

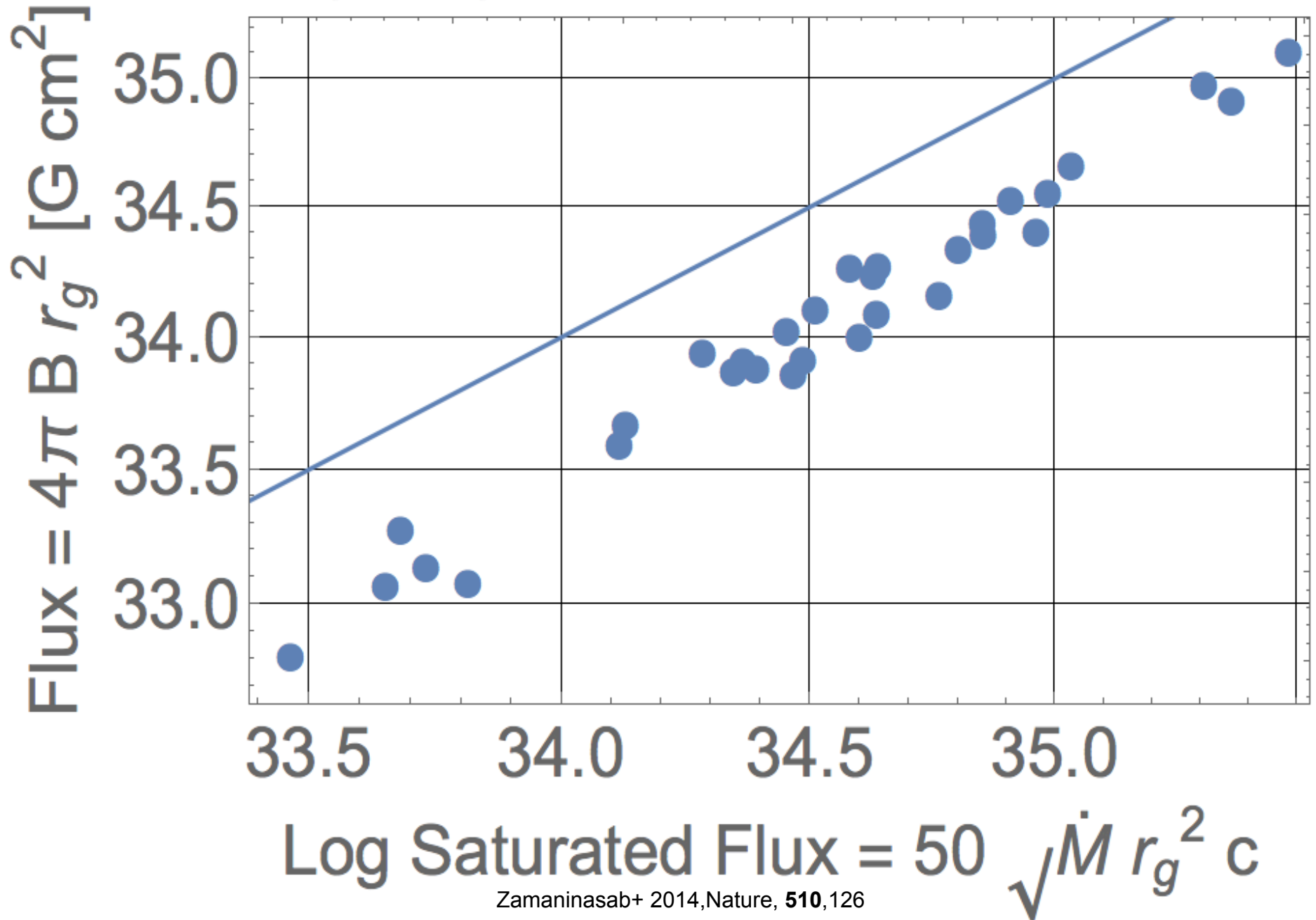
$$\langle dL/dt \rangle_z = H^2 (r^3/4) \cos(\xi)$$

And $\langle L_z \rangle = U/\omega$ (Jackson, 1962 problem 6.12)

Zamaninasab + Nature, 2014, 510, p126.



Log Magnetic Flux vs. Saturated flux

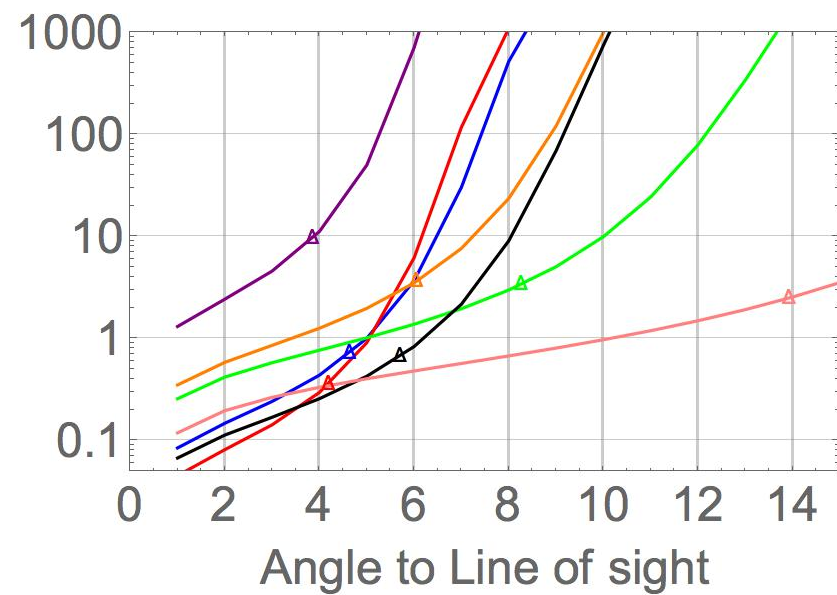
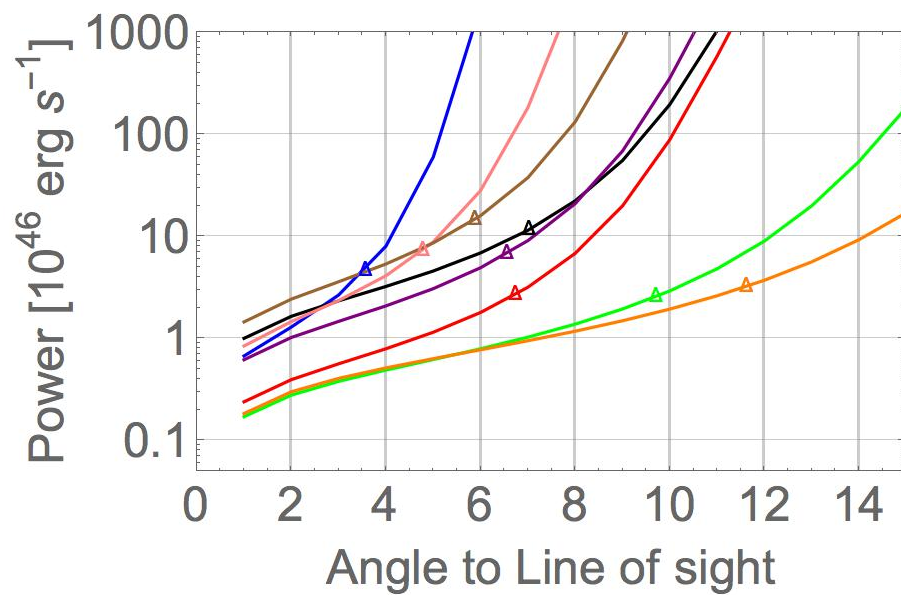
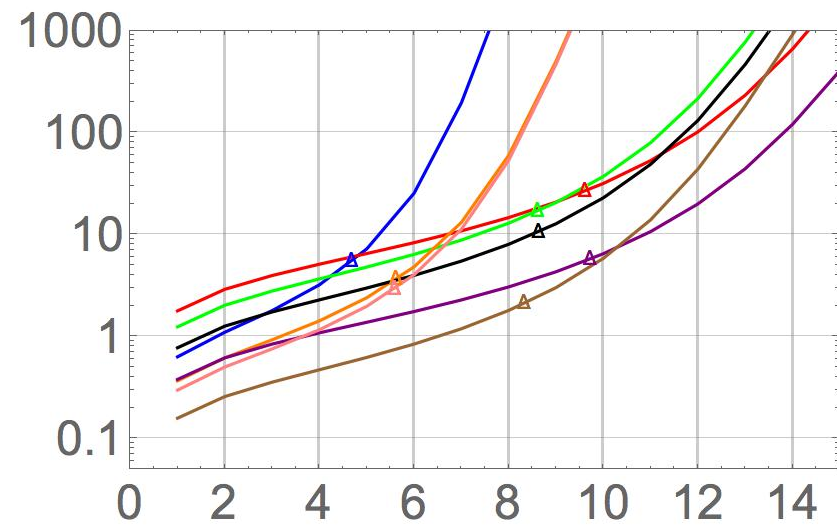
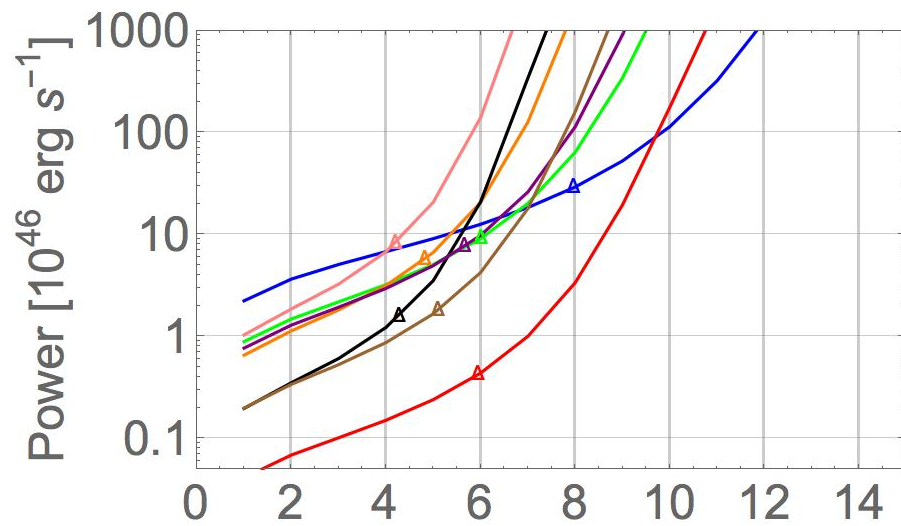


Summary

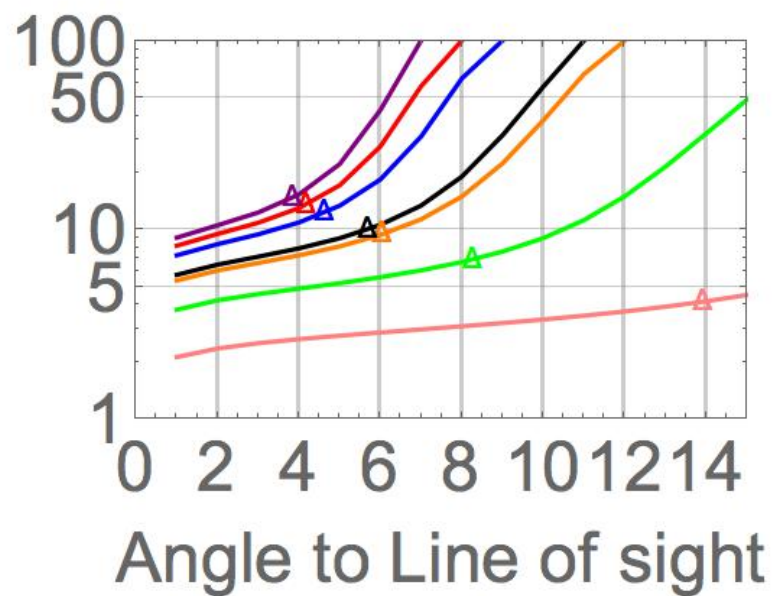
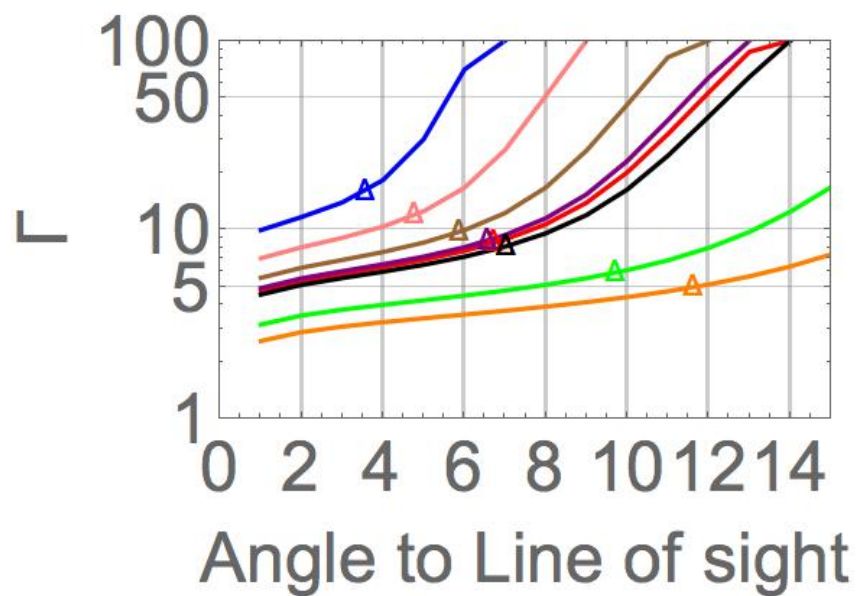
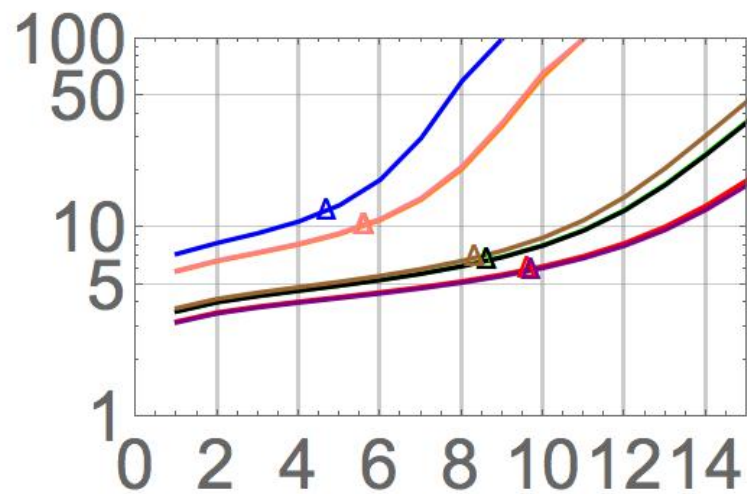
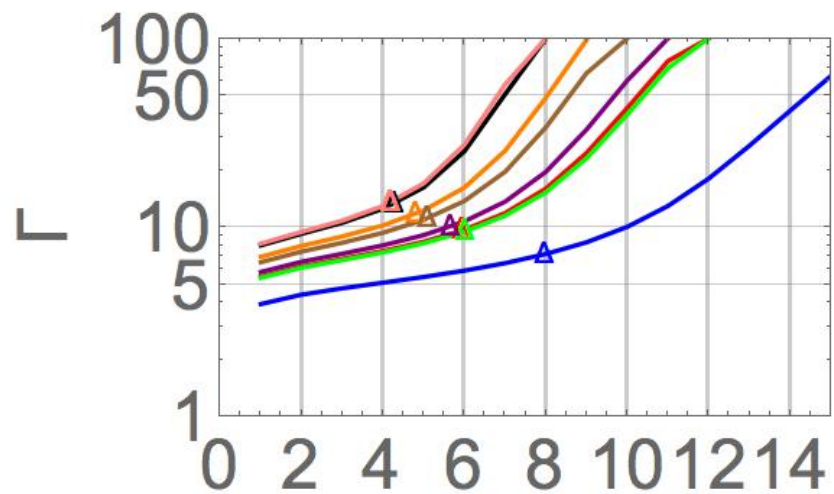
1. We use Chandra X-ray observations to estimate the power of jets, by observing the jet itself. We tie this to the central black hole mass on an individual object basis.
2. The rotational energy of supermassive black holes can power these quasar jets, even with spin parameters as low as $a=0.2$ for lifetimes longer than millions of years.
3. If the power we observe originates as a pure Poynting flux, we derive initial magnetic field strengths of order 10's of kiloGauss.
Conserving the energy loss and angular momentum loss of the black hole gives a relation between magnetic field strength and jet radius. For models of Magnetically Arrested Disks (e.g., Narayan+ 2003, Sadowski+2014, Tchekhovskoy+ 2011, Zamaninasab+ 2014) the inferred magnetic flux is of order of magnitude of predictions, for Eddington limited accretion.
4. Isolated X-ray jets at $Z > 2$ are a population. Presently, X-ray jet information is biased by selecting them based on radio emission. The future Lynx observatory has the sensitivity and field of view to select via X-ray surveys!

Supplemental Slides

$\Gamma = \delta$ (triangles) gives reasonable results for enthalpy flux



Power vs. angle to line of sight, for δ NE Γ



Minimum energy formulation:

$$d\{B^2/(8\pi)+U_{\text{rel}}\}/dB = 0$$

$$B = f_{\text{eq}} \left[(\alpha+1) G(\alpha) (1+k) L_v v^\alpha (\gamma_{\text{max}}^{1-2\alpha} - \gamma_{\text{min}}^{1-2\alpha}) / (\phi 4/3\pi l r t) \right]^{1/(\alpha+3)}$$

Measured

Constrained assumption

Assumed $f_{\text{eq}} = 1, k=1, \phi=1, t=r$

Lynx*, the next generation X-ray Observatory (2m², 0.5 arcsec) offers measurements of:

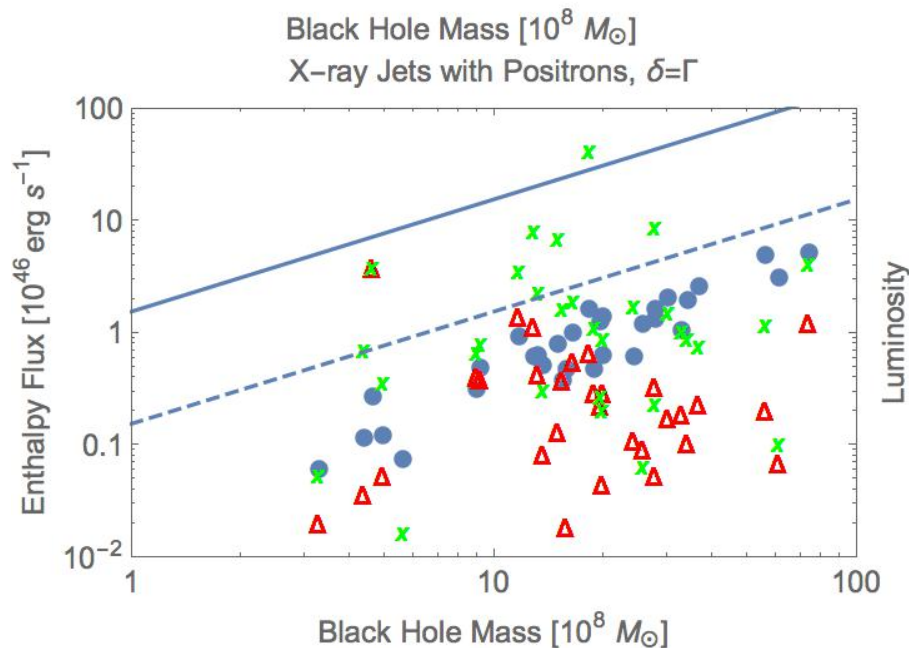
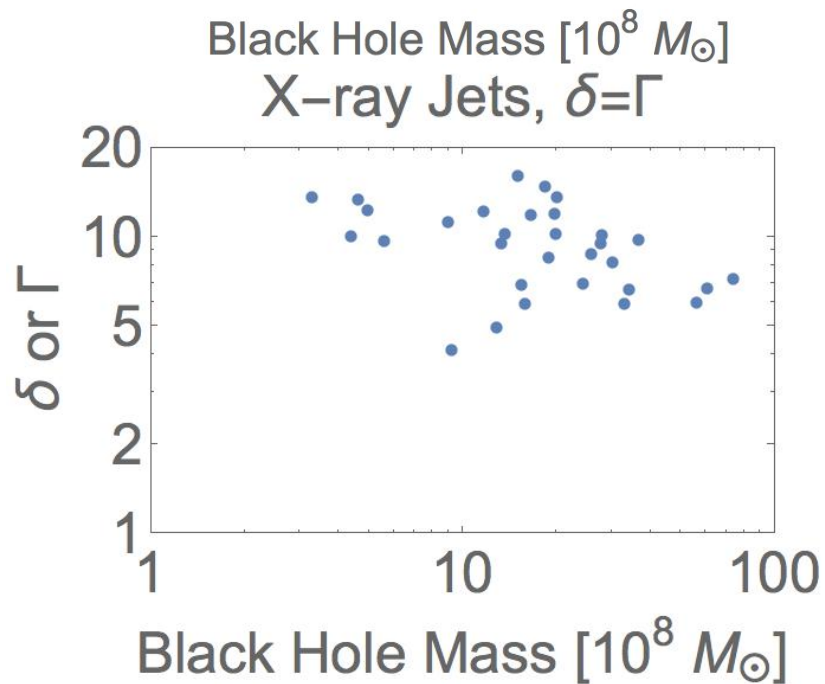
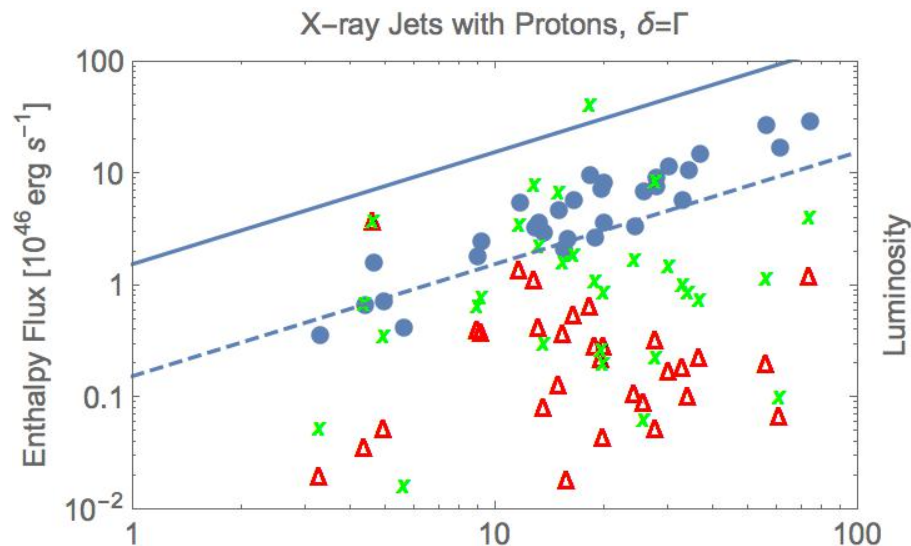
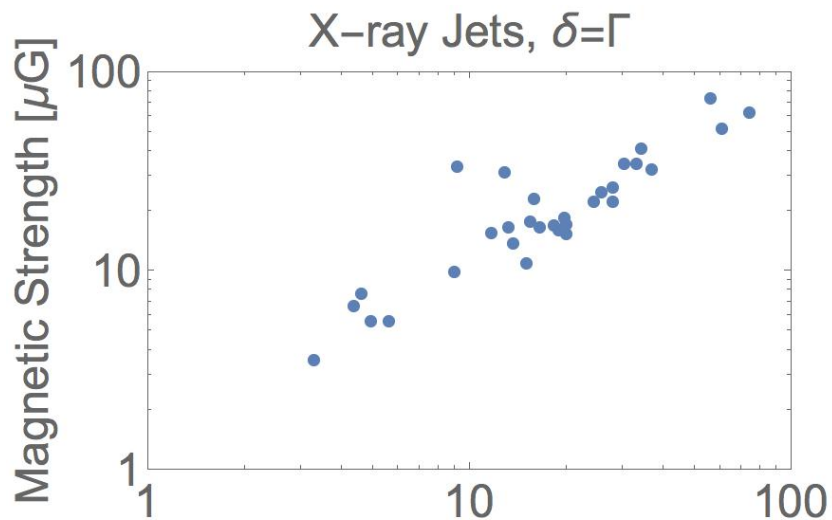
r via improved statistics on cross-jet profile

γ_{min} via measurement of soft X-ray turn-over

γ_{max} via Fermi or ALMA data

[*www.lynxobservatory.com](http://www.lynxobservatory.com)

Correlation of derived properties with the Black Hole Mass



Mass from fundamental plane in Gultekin+ 2009, ApJ 706, 404

IC/CMB interpretation

Extension of the radio sychrotron electrons to lower energy produces IC X-rays by scattering off the CMB.

Projection and Light travel time: $\text{Volume} = V_{\text{obs}}/(\delta \sin\theta)$

CMB energy density is enhanced by Γ^2 in jet rest frame

Felten-Morrison ('66) IC formulas give combination of δ & Γ

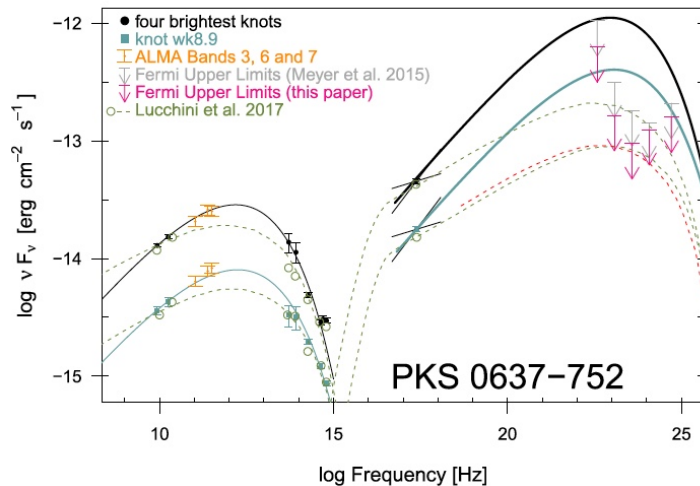
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Cannot solve for all three quantities Γ , δ , and θ

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THE ASTROPHYSICAL JOURNAL LETTERS, 835:L35 (6pp), 2017 February 1

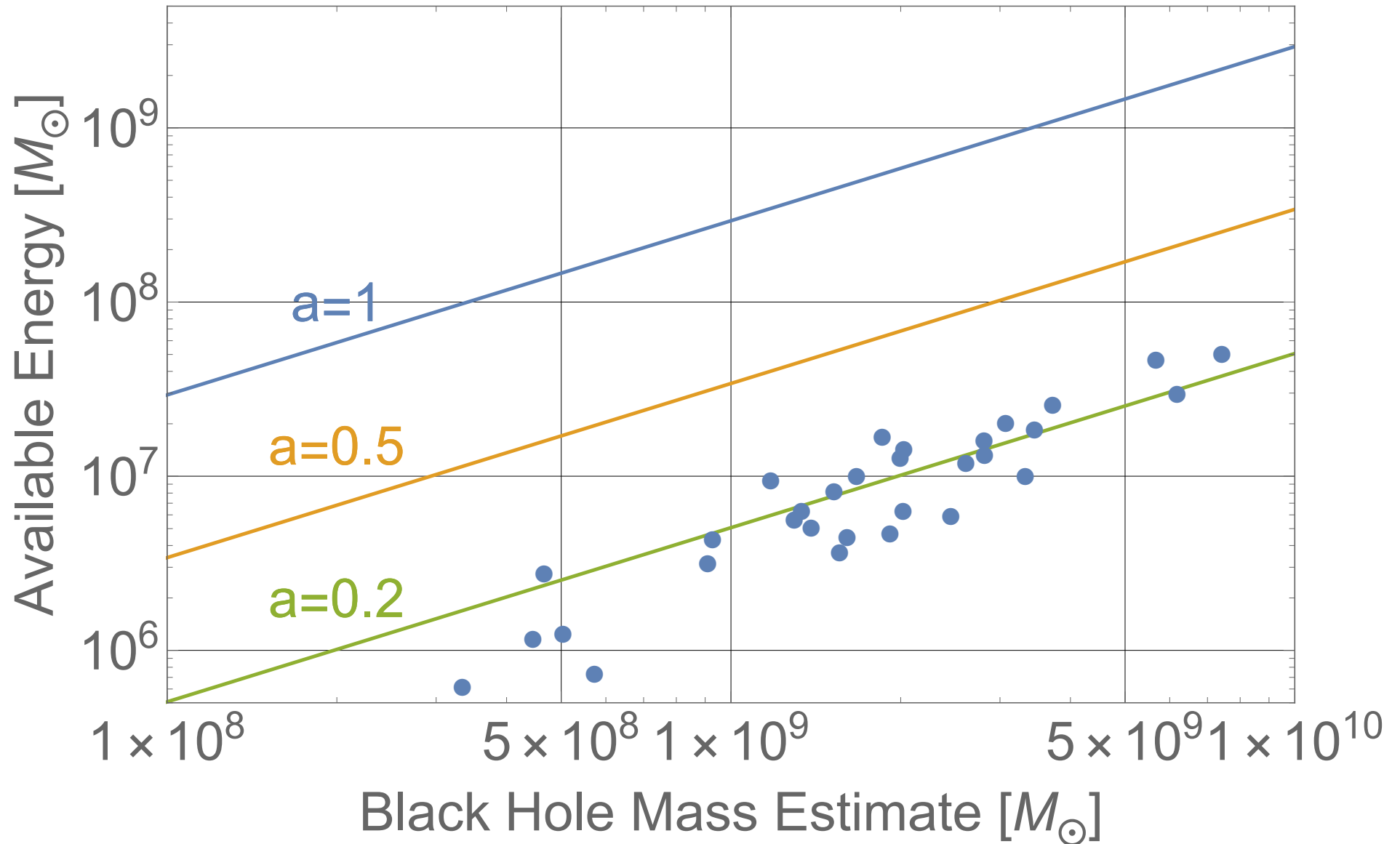


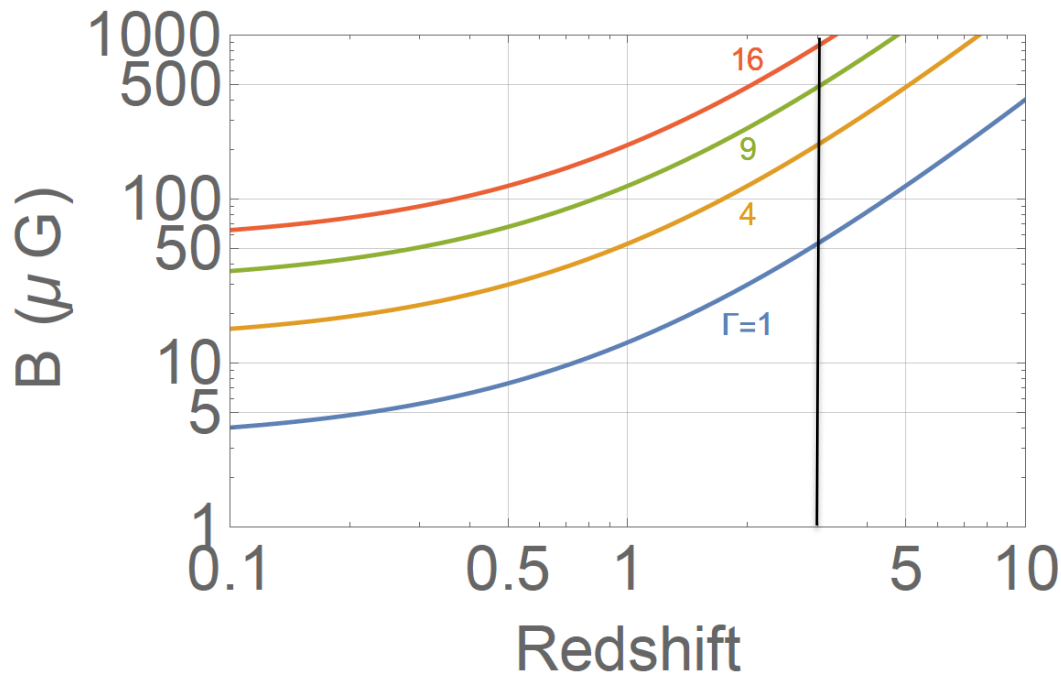
Meyer et al.

PKS 0637-752 iC/CMB model predictions contradicted by FERMI upper limit observations.

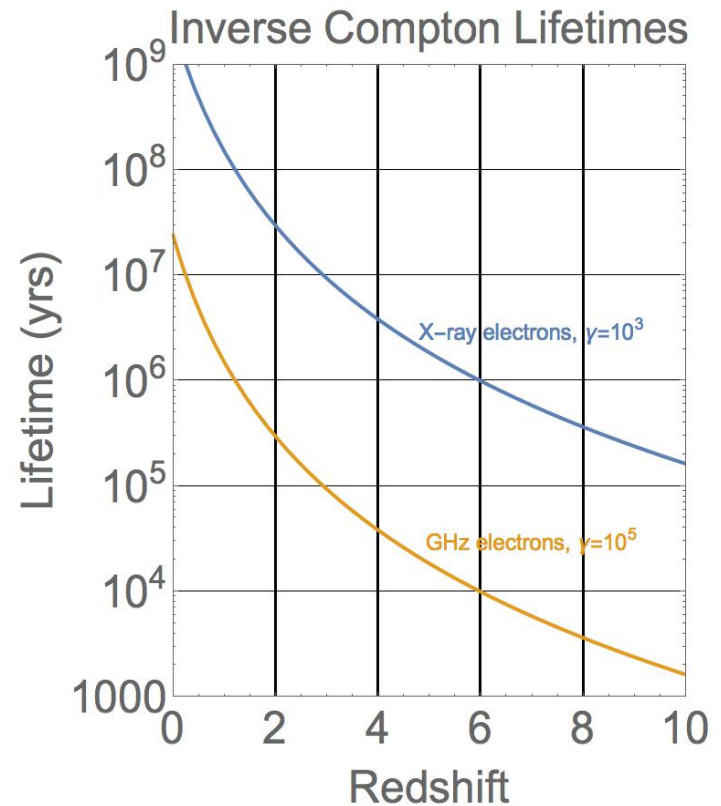
Black holes with spin $a > 0.2$ can power quasar jets for up to 10^7 yr
(fundamental plane mass estimates, using Gultekin+2009, 706,404)

Spin Powered Jets

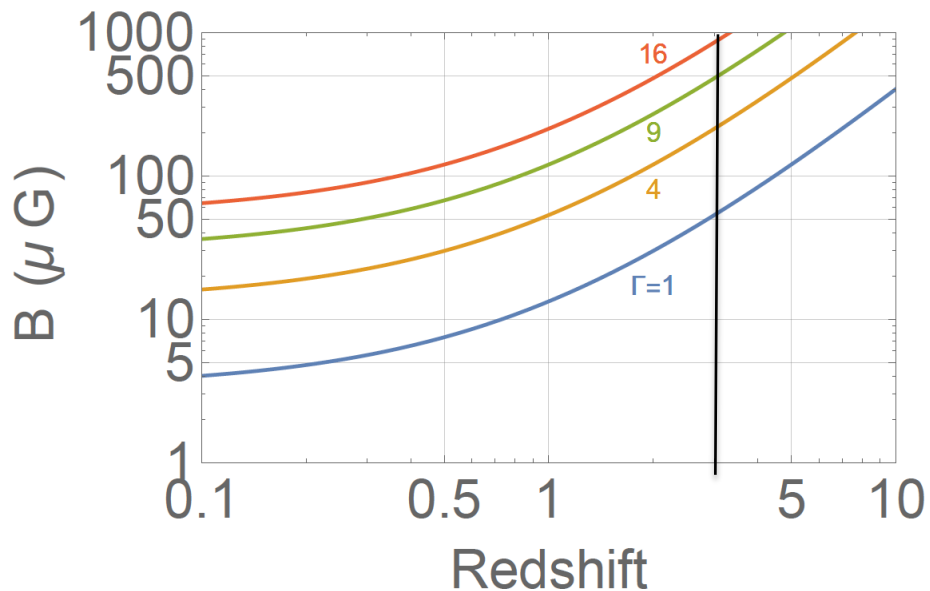




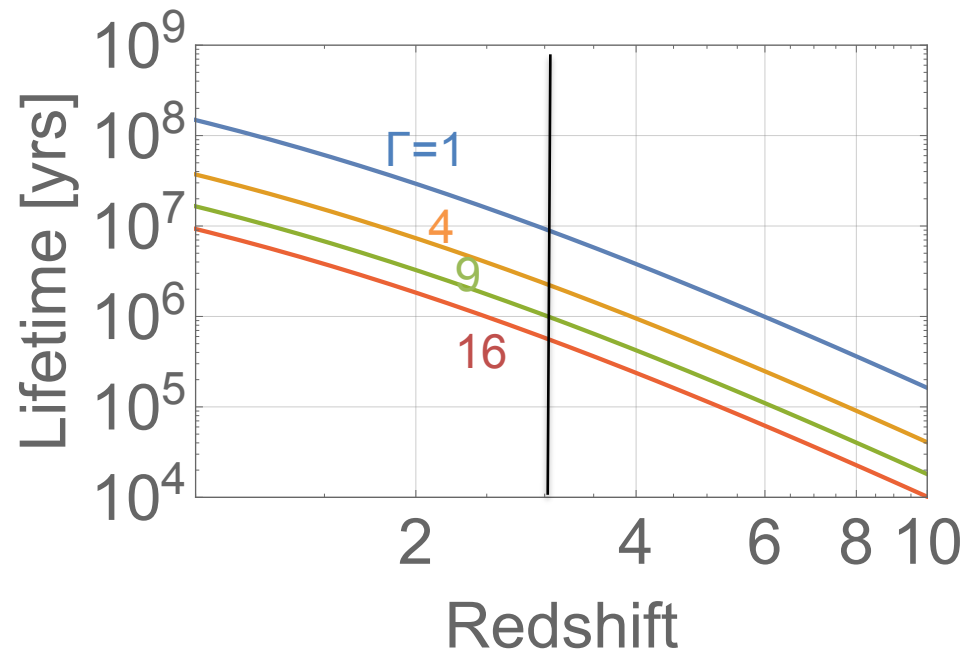
Magnetic field strength in the rest frame of the jet vs. redshift. For a given bulk Lorentz factor Γ , inverse Compton scattering of the microwave background will dominate the radiation unless the field is above the corresponding curve for Γ . For redshifts above 3, (vertical black line) this implies 100's of μG for even mildly relativistic jets.



Lifetime of electrons with $\gamma=1000$ against losing half their energy by scattering of the CMB. Electrons producing 1 keV X-rays by inverse Compton have energies roughly γ/Γ , while GHz producing electrons are ~ 100 times more energetic, with 0.01 shorter lifetimes.



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