

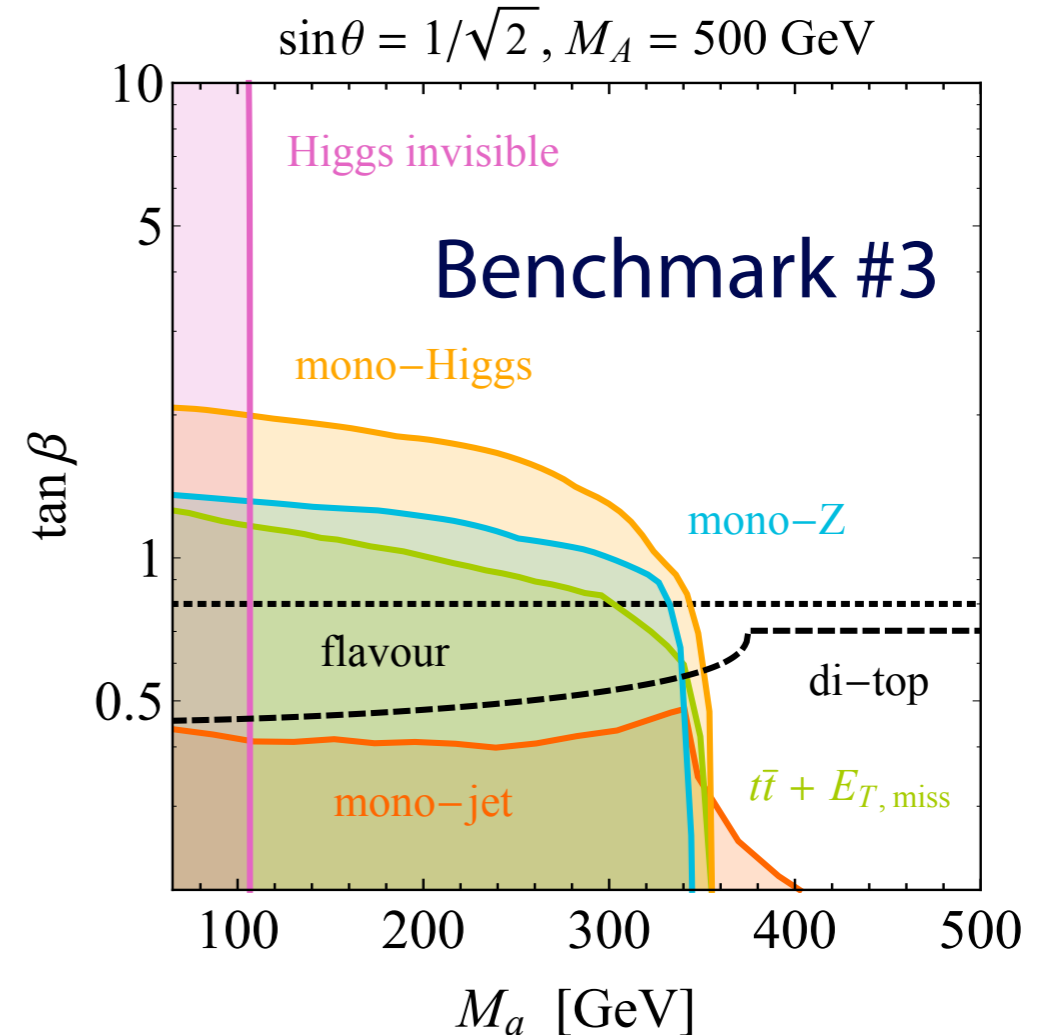
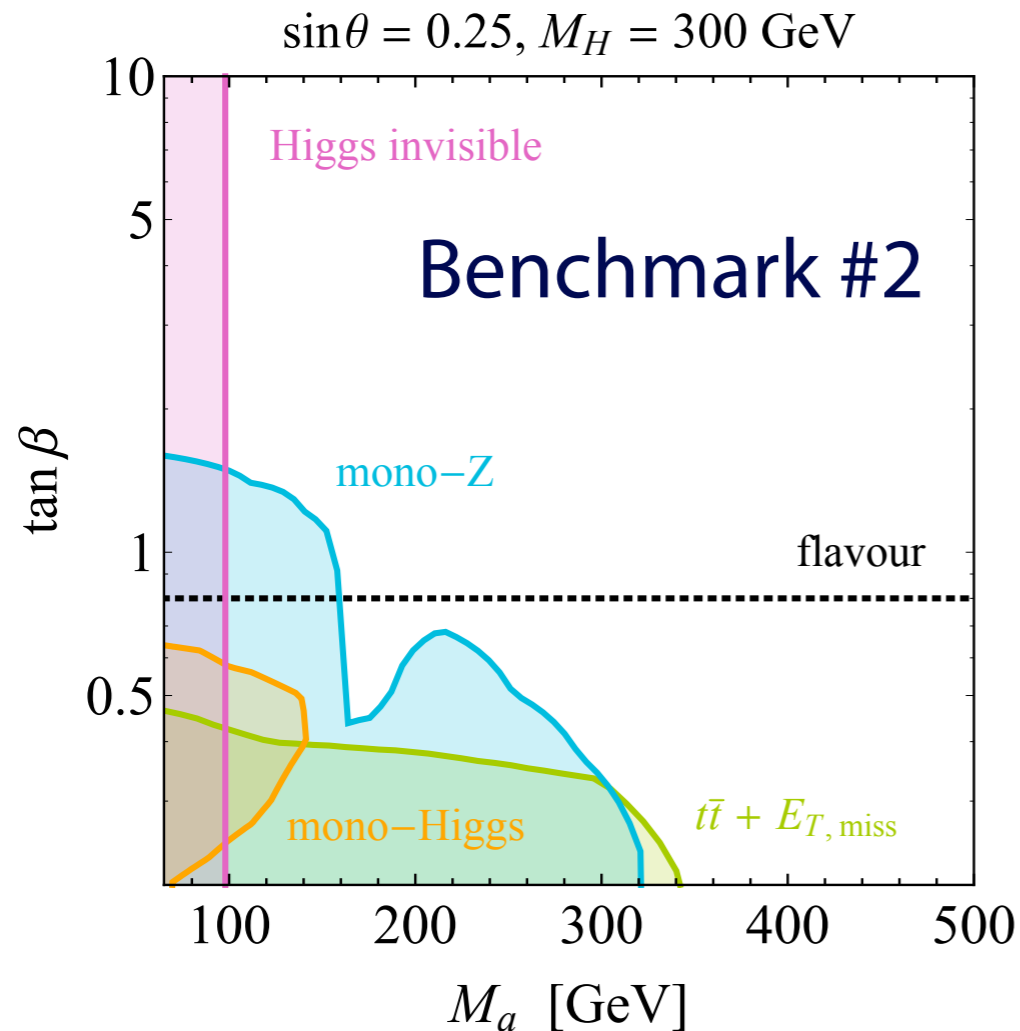
June 20, 2017
DM WG meeting

Mono-Z report on 2HDM+Pseudoscalar model

**Chikuma Kato, Koji Terashi
(University of Tokyo)**

Mono-Z for 2HDM+a Model

Sensitive probe to the 2HDM+a model in large parameter space



Today's report :

- ▶ Preliminary sensitivity scan in $\tan\beta$ vs $m(a)$ grid for mono-Z
- ▶ Complementarity between mono-H and mono-Z
- ▶ Limits in $\tan\beta$ vs $m(a)$ evaluated from acceptance in $m(A)$ vs $m(a)$ grid

Preliminary Grid Scan

Estimate mono-Z sensitivity in $\tan\beta$ vs $m(a)$ grid for MC request

- ▶ Both $Z \rightarrow qq$ and $Z \rightarrow ll$ studied
- ▶ Only resolved selection used (selections cuts listed in backup for $Z \rightarrow qq$)
- ▶ $\lambda_{m3} = 0$ for $Z \rightarrow qq$, $= 0.258$ for $Z \rightarrow ll$
 - no big difference between 0 and 0.258 for $Z \rightarrow qq$ (see backup)

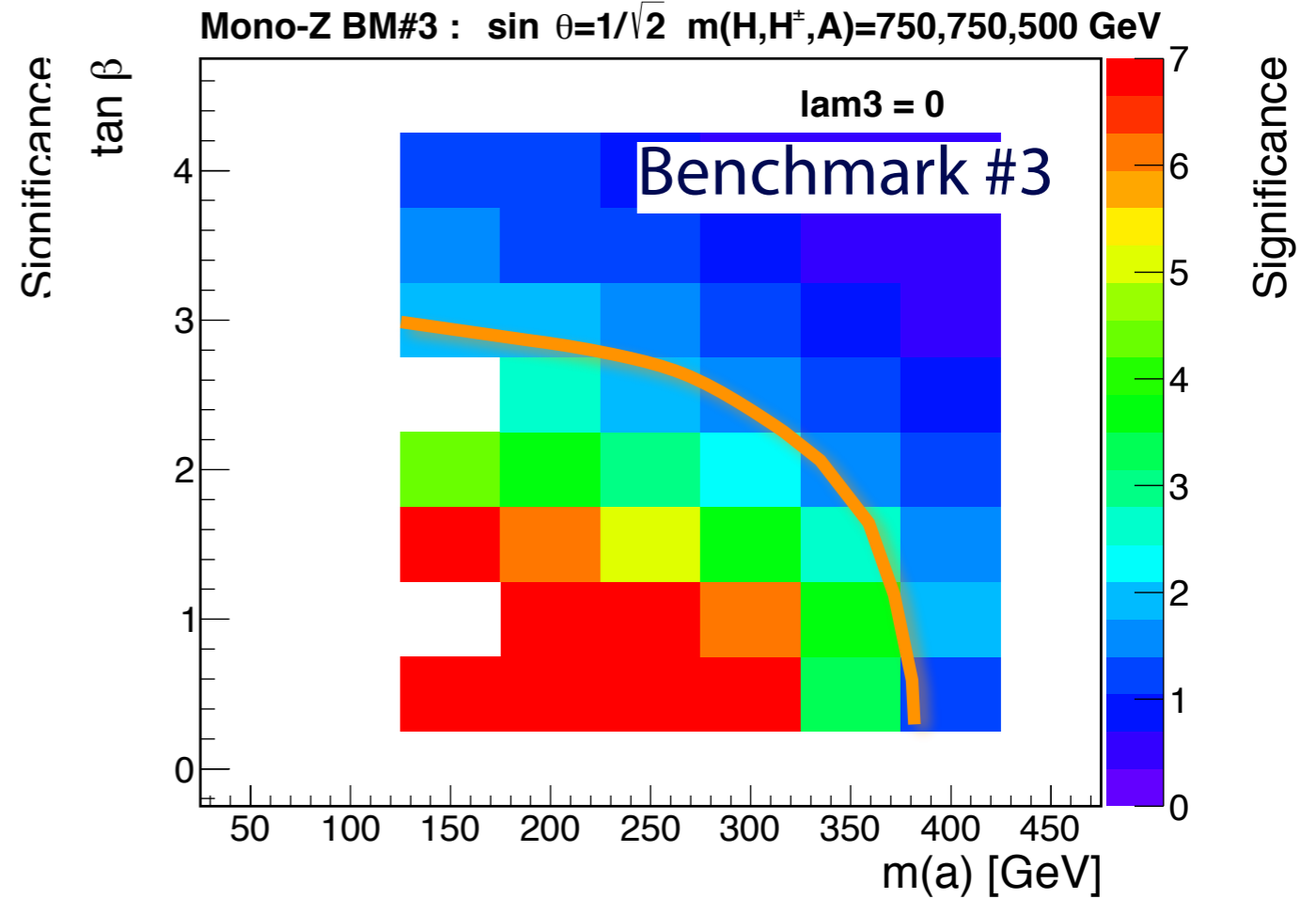
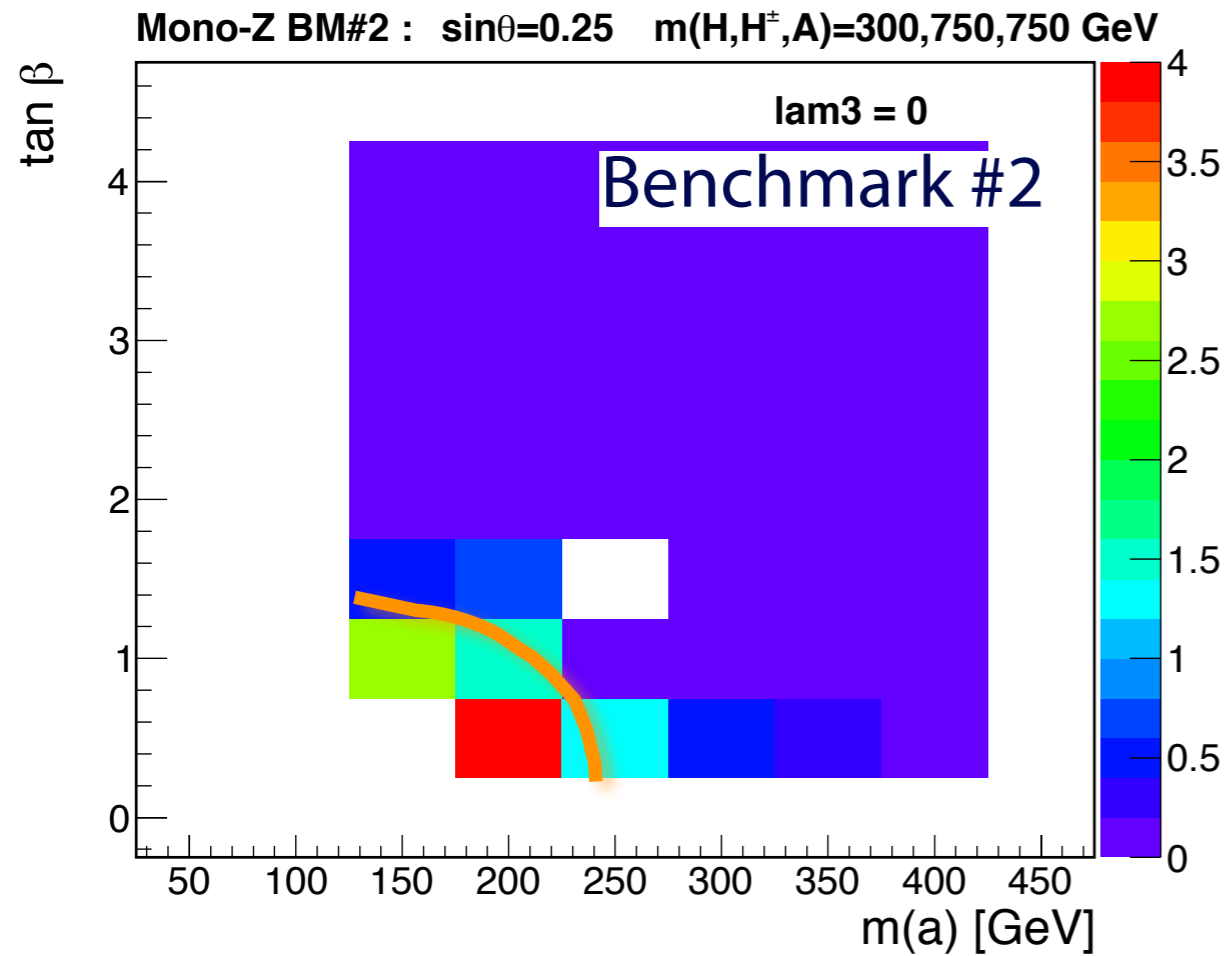
Scan performed by calculating significance defined as S/\sqrt{B}

- ▶ $Z \rightarrow vv + \text{jets}$ ($ZZ \rightarrow llvv$) sample used as background for $Z \rightarrow qq$ (ll)
- ▶ Scaled by factor 2 to account for other backgrounds, e.g, top, $W + \text{jets}$
- ▶ Significance = $\sqrt{\sum_i (S_i/\sqrt{B_i + \Delta B_i})^2}$ where i runs over E_T^{miss} bin
- ▶ Draw contour at $\sim 2\sigma$ significance for exclusion

$$\Delta B = \text{stat} \oplus 20\% \text{ syst}$$

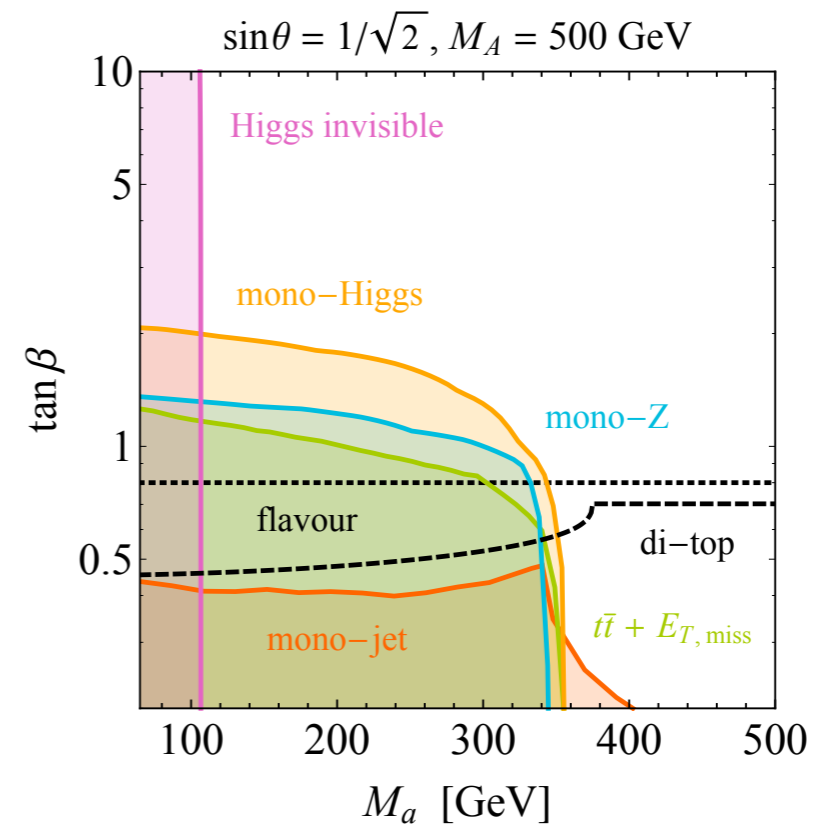
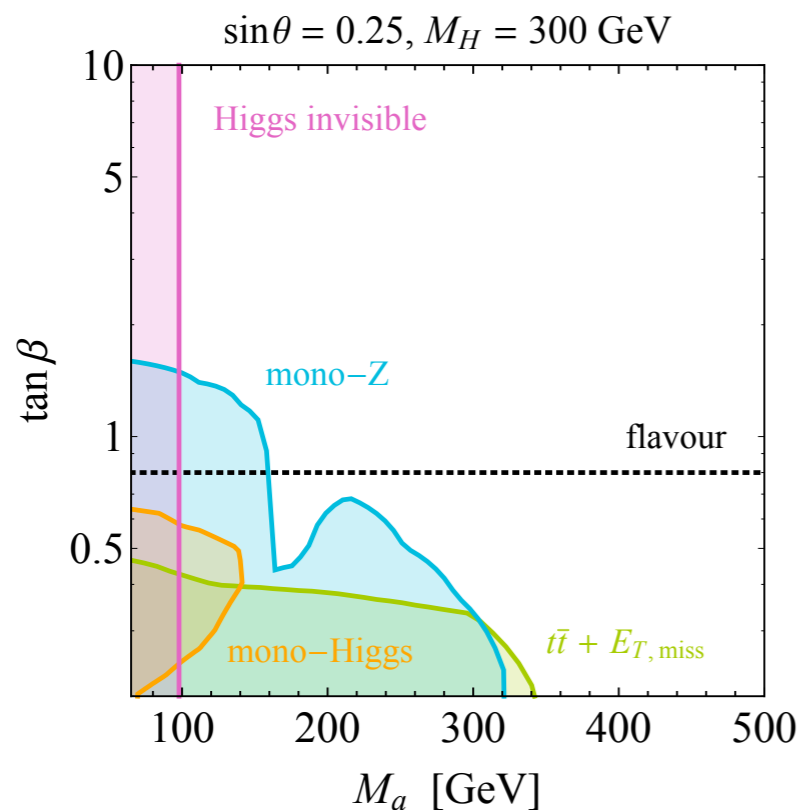
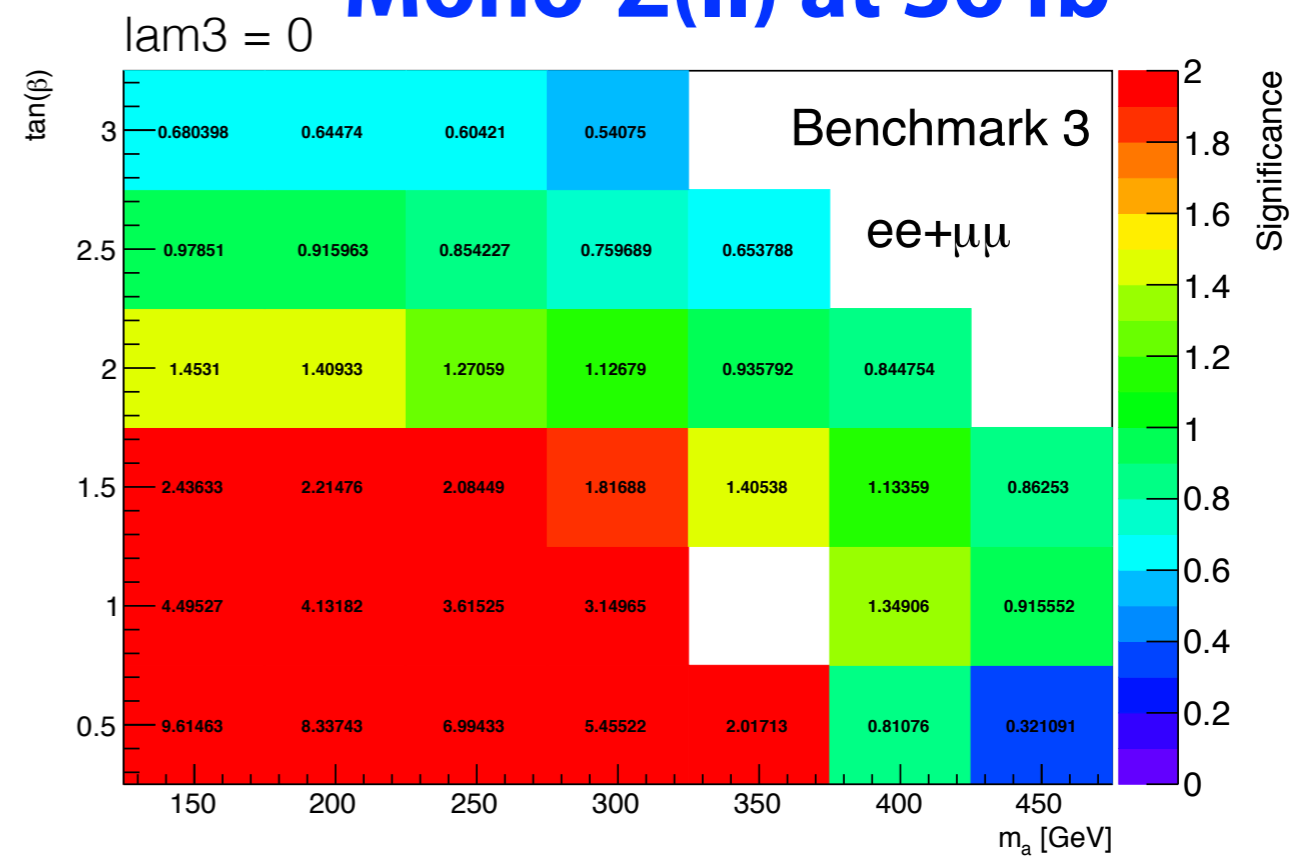
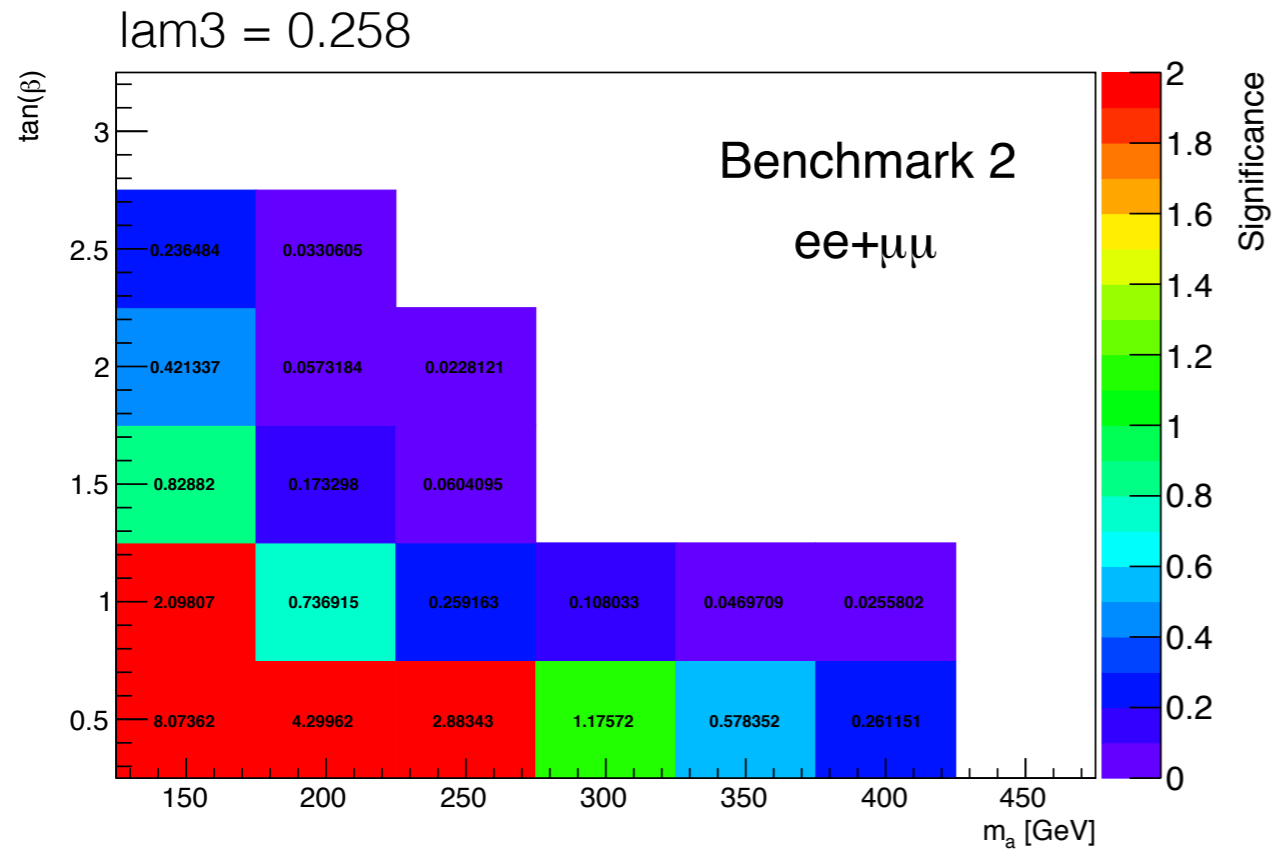
$\tan\beta$ vs $m(a)$ Grid

Mono-Z(qq) at 36 fb⁻¹



$\tan\beta$ vs $m(a)$ Grid

C. Anelli, K. Hamano, A. Elliot
Mono-Z(II) at 36 fb⁻¹



Mono-Z(II) sensitivity confirmed to be consistent with that in the paper

$m(A)$ vs $m(a)$ Grid

L. Henkelmann, O. Brandt

$m(A)$ vs $m(a)$ grid proposed for Mono-H at the last meeting

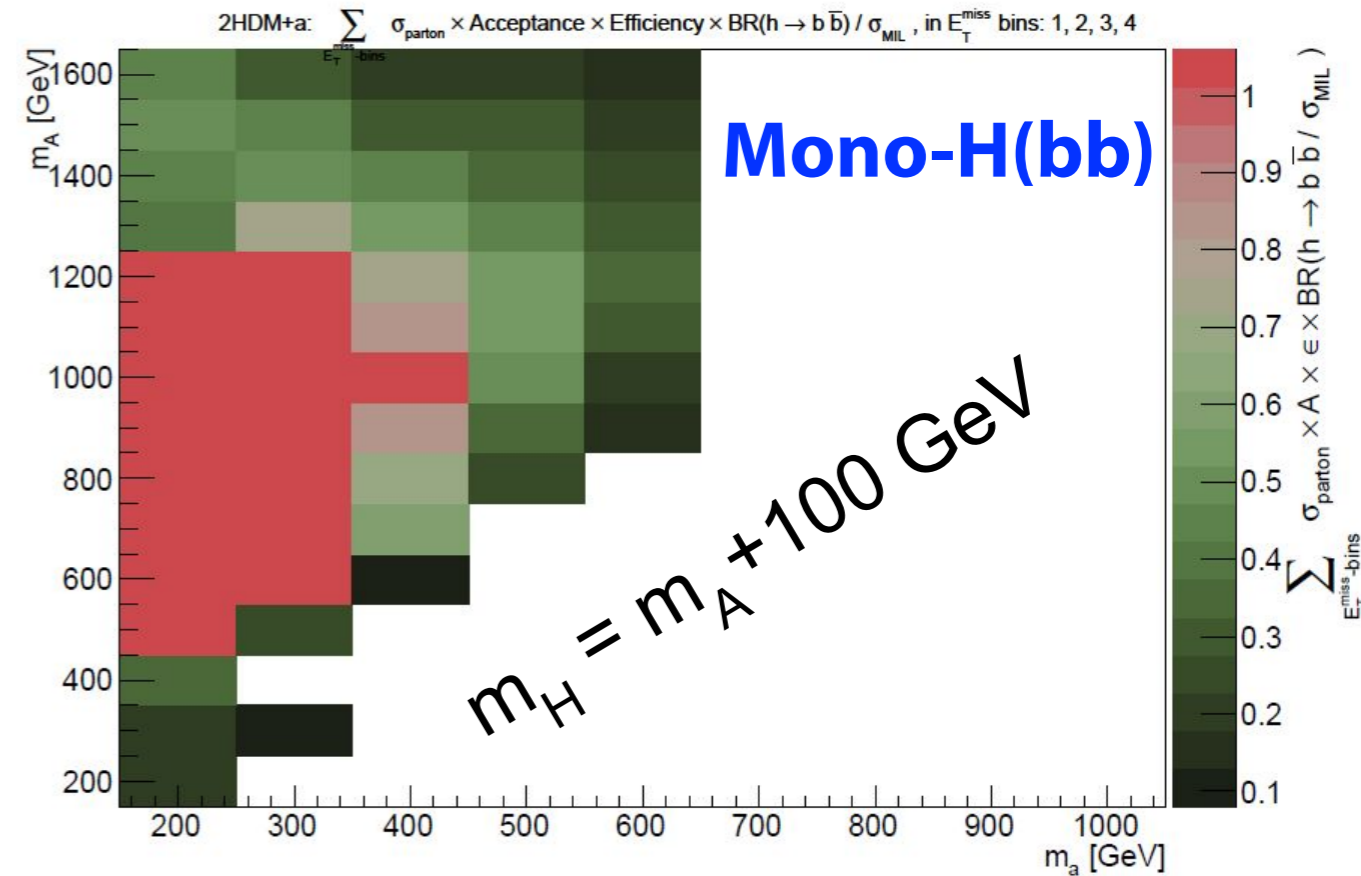
▶ other parameter choice :

- $\sin\theta = 0.35, \tan\beta = 1$

- $m_\chi = 1 \text{ GeV}, y_\chi = 1$

- **$m(H) = m(A) + 100 \text{ GeV}$**

→ preferred choice for mono-H



Comparison with Mono-H

L. Henkelmann,
O. Brandt

$m(A)$ vs $m(a)$ grid proposed for Mono-H at the last meeting

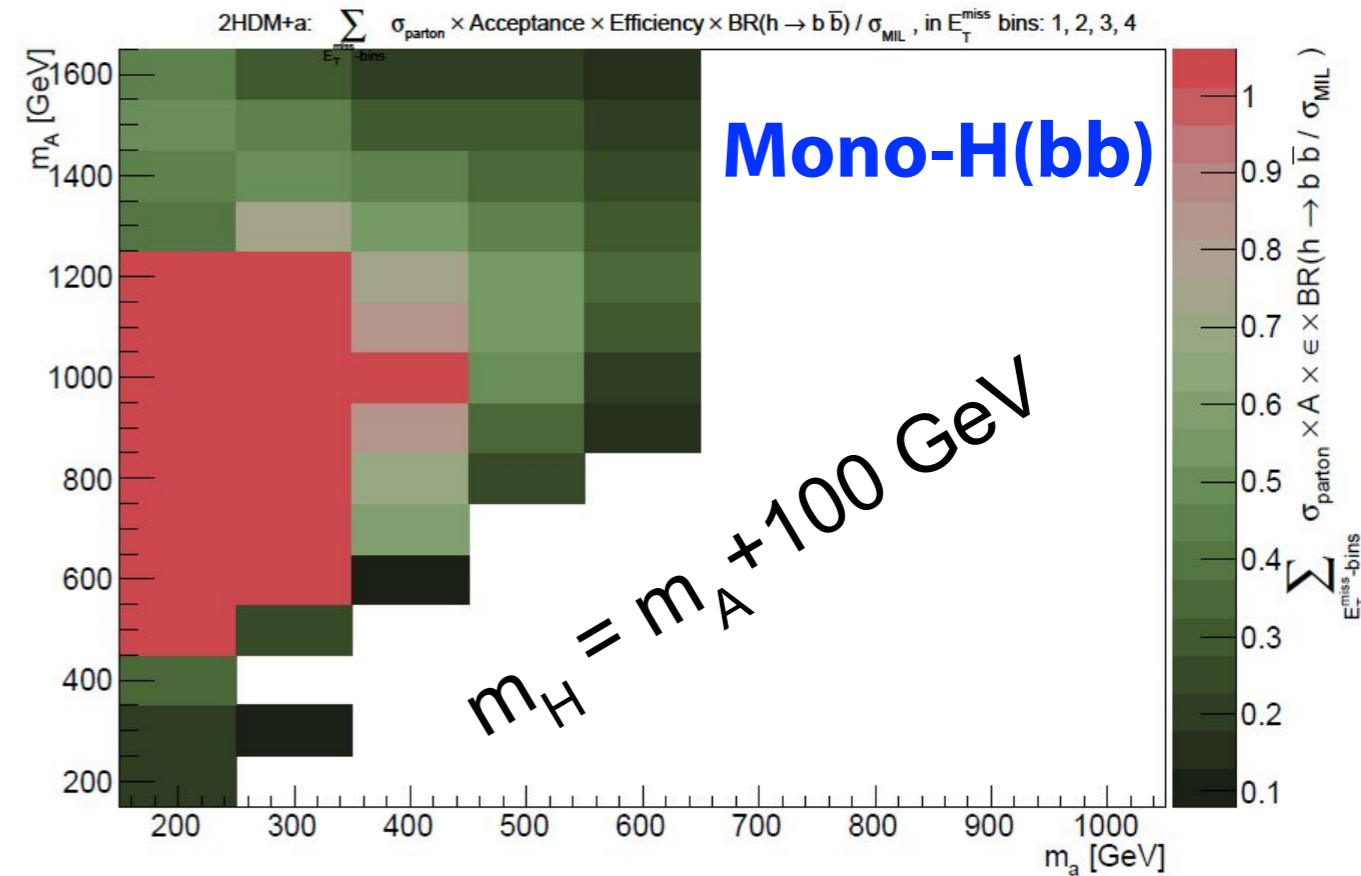
▶ other parameter choice :

- $\sin\theta = 0.35$, $\tan\beta = 1$

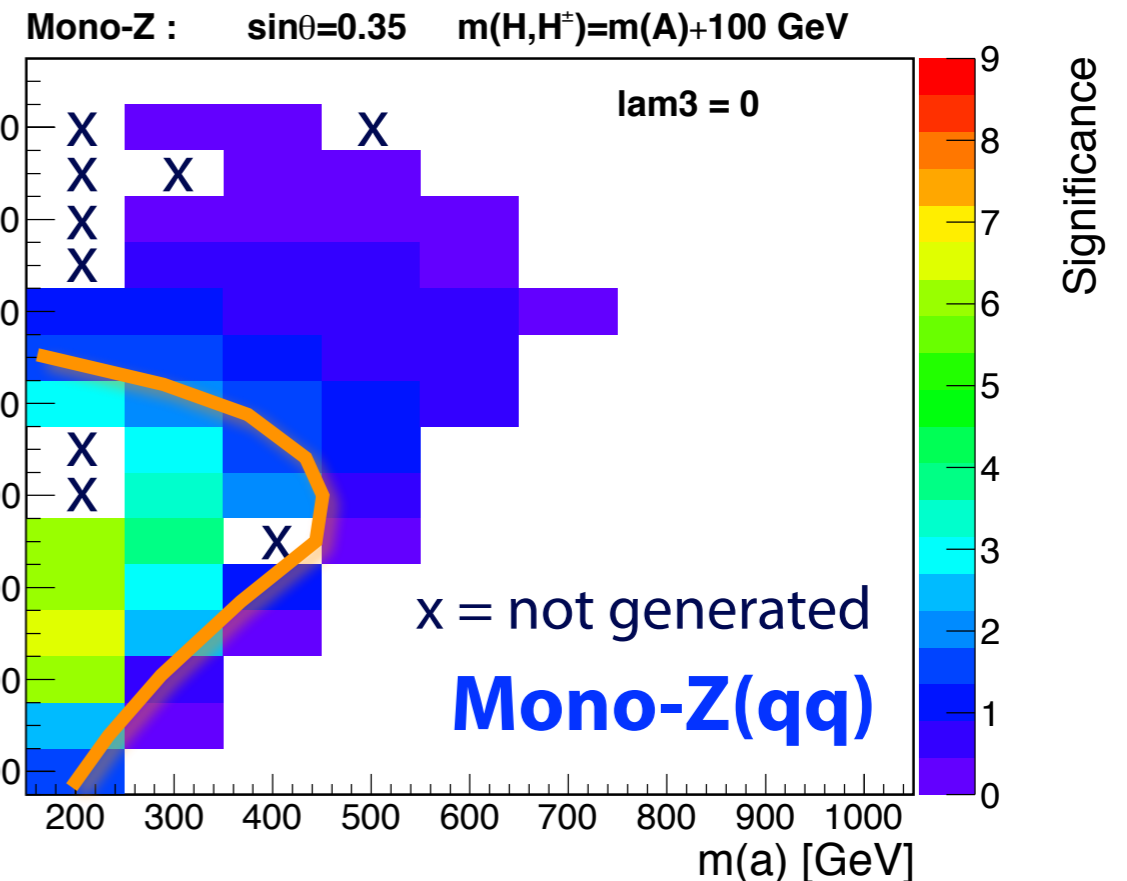
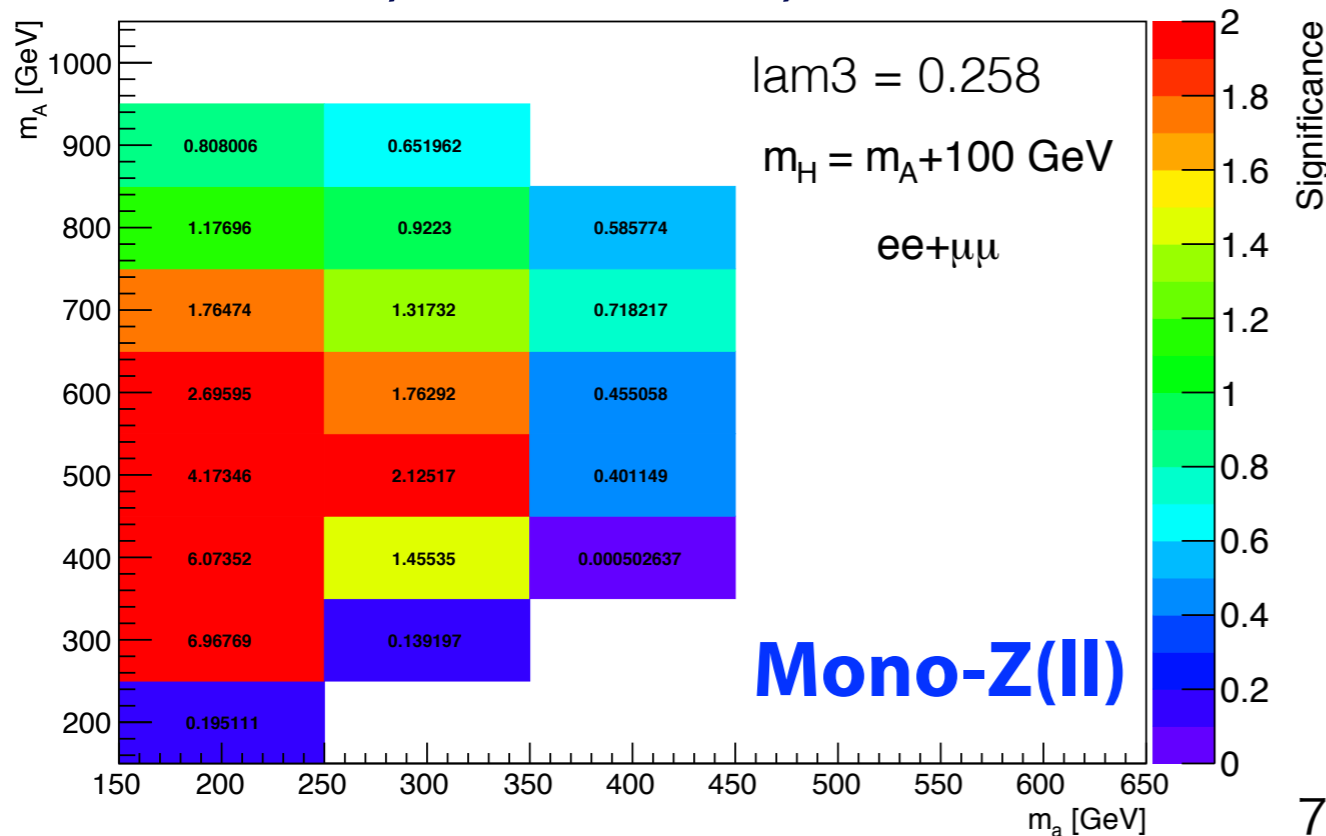
- $m_\chi = 1$ GeV, $y_\chi = 1$

- **$m(H) = m(A) + 100$ GeV**

→ preferred choice for mono-H



C. Anelli, K. Hamano, A. Elliot



Comparison with Mono-H

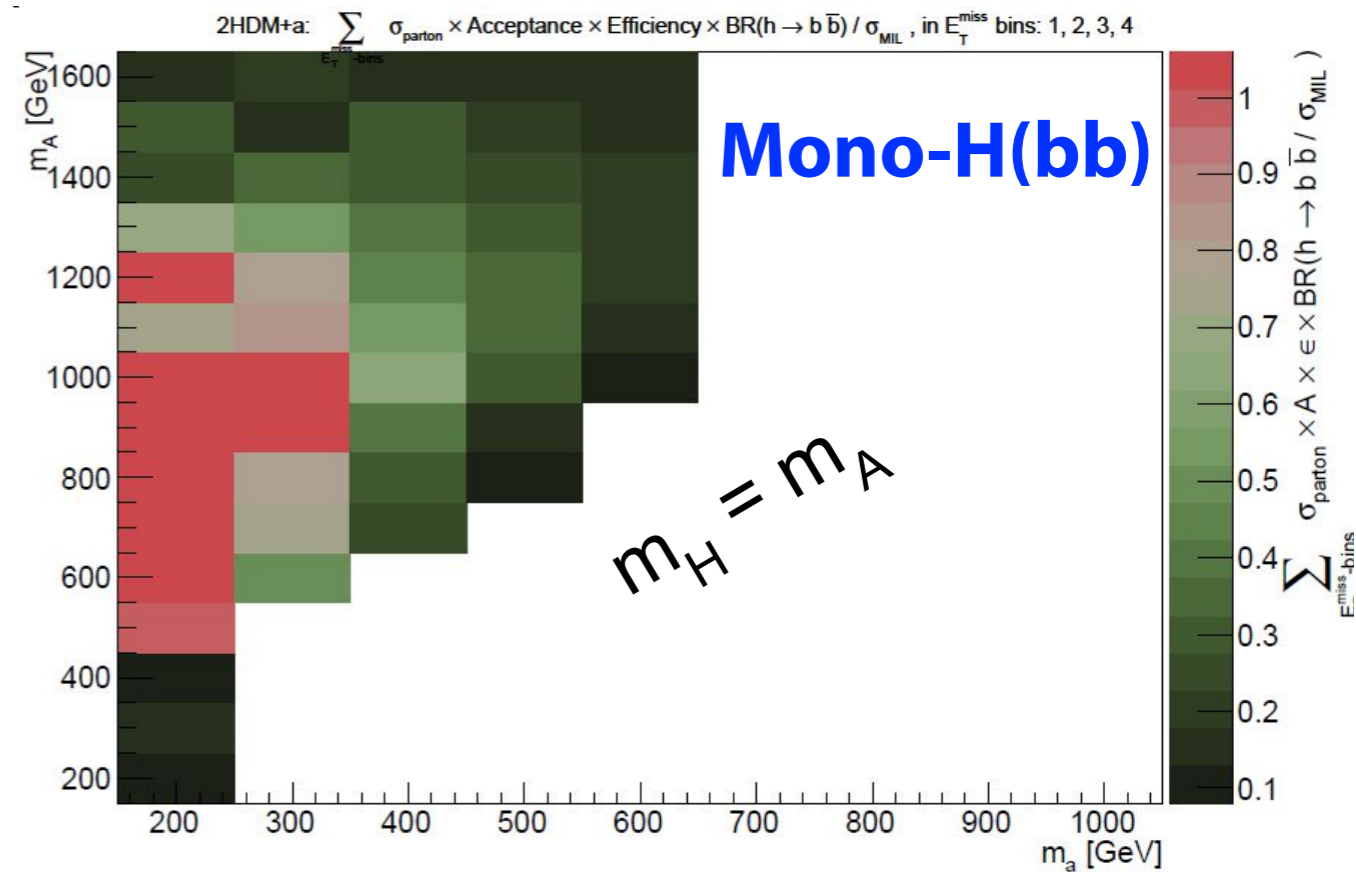
L. Henkelmann,
O. Brandt

$m(A)$ vs $m(a)$ grid proposed for Mono-H at the last meeting

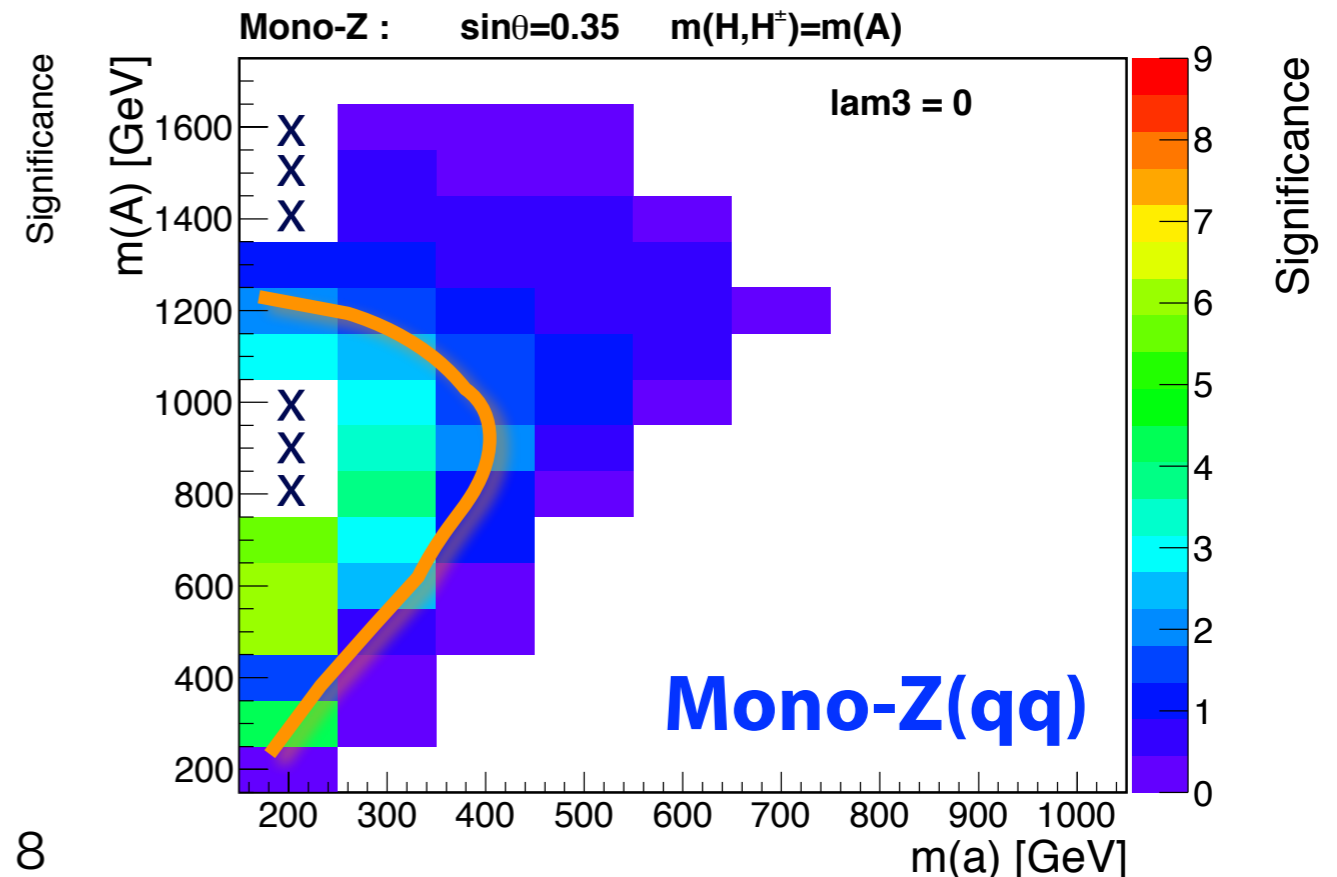
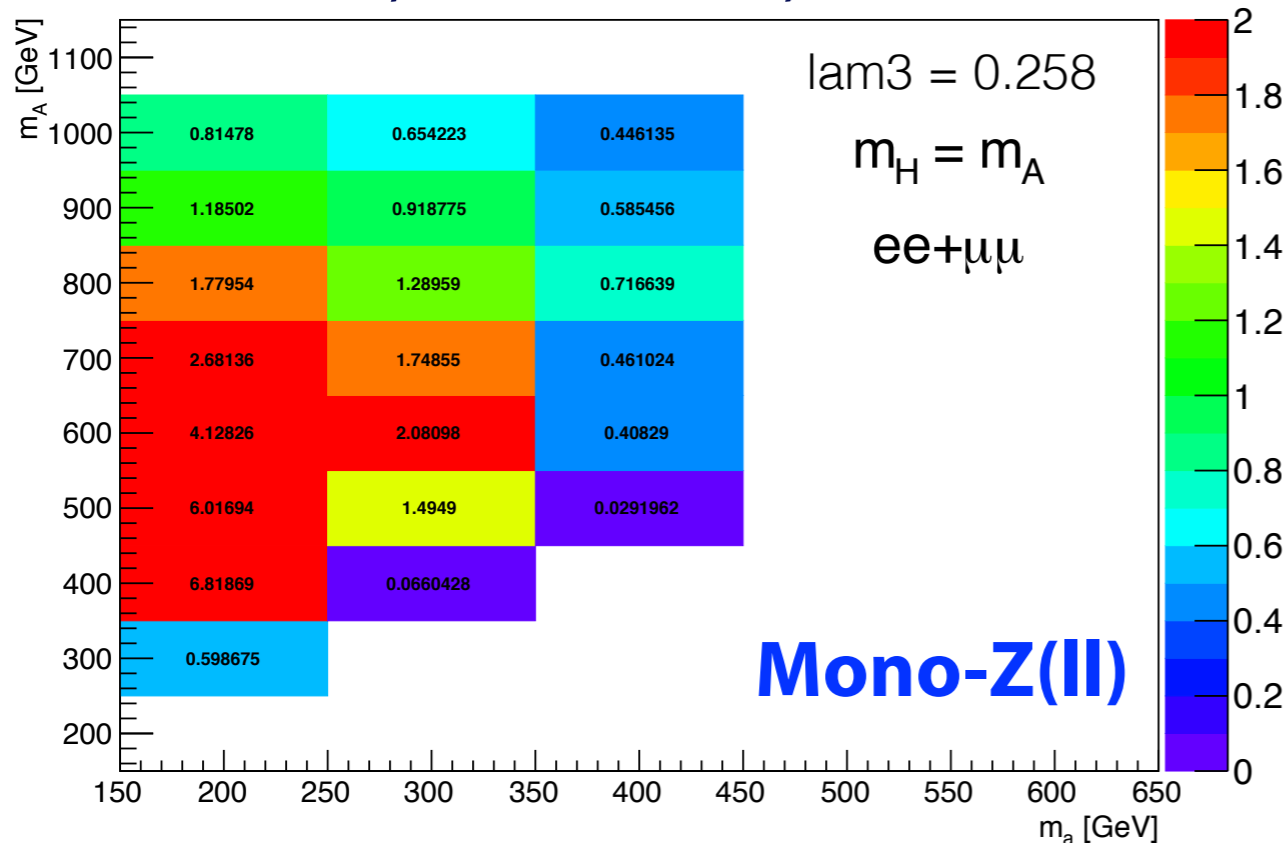
▶ other parameter choice :

- $\sin\theta = 0.35$, $\tan\beta = 1$
- $m_\chi = 1$ GeV, $y_\chi = 1$
- **$m(H) = m(A)$**

→ current preference?



C. Anelli, K. Hamano, A. Elliot



Comparison with Mono-H

L. Henkelmann,
O. Brandt

$m(A)$ vs $m(a)$ grid proposed for Mono-H at the last meeting

▶ other parameter choice :

$$\sin\theta = 0.25, \tan\beta = 1$$

2HDM+a: $\sum_{E_T^{\text{miss}} \text{ bins}} \sigma_{\text{parton}} \times \text{Acceptance} \times \text{Efficiency} \times \text{BR}(h \rightarrow b\bar{b}) / \sigma_{\text{MIL}}$, in E_T^{miss} bins: 1, 2, 3, 4

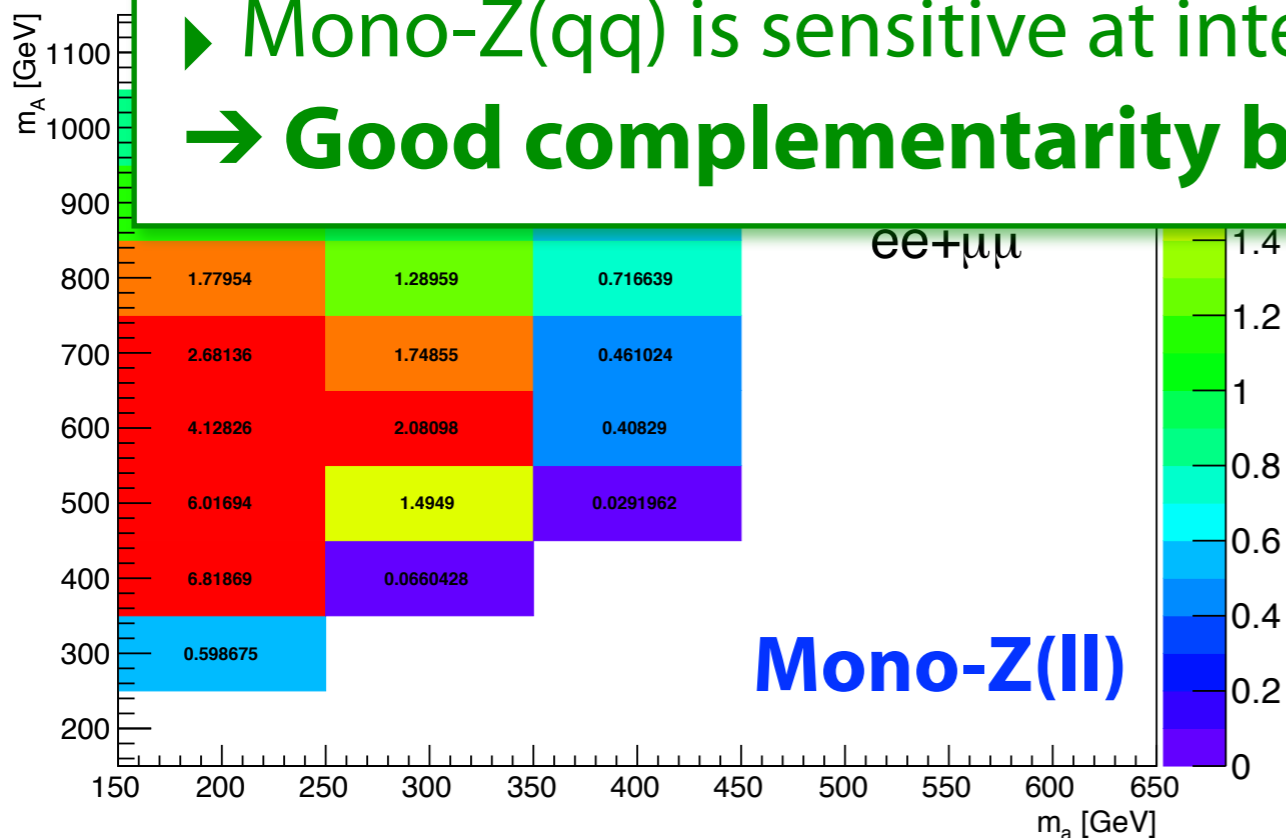


Mono-H(bb)

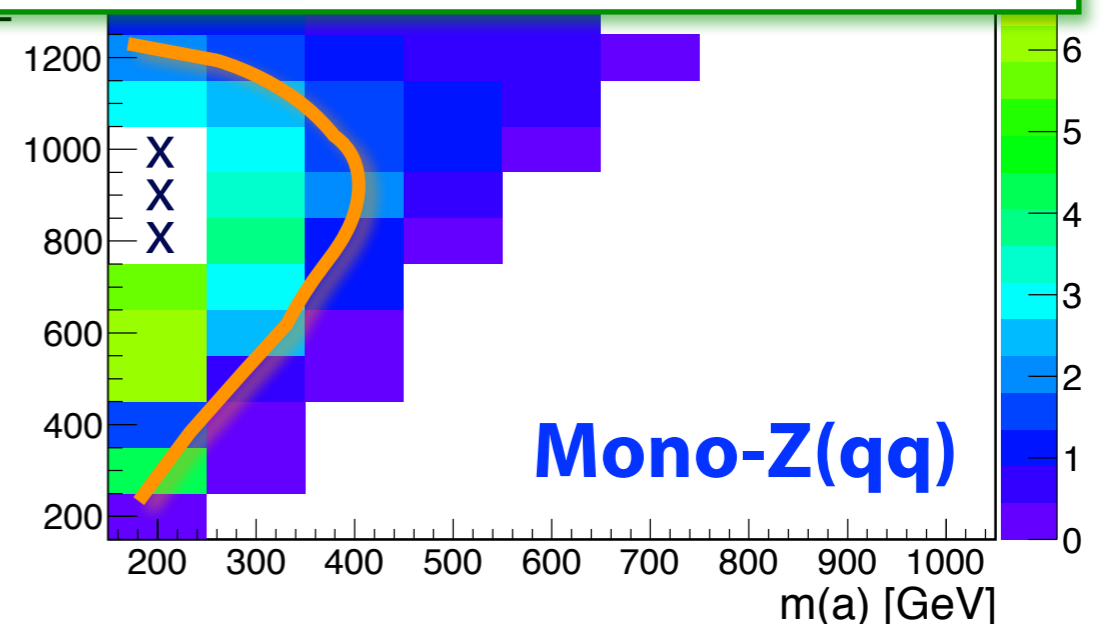
Mono-Z signal sensitivity largely determined by $\Delta m = m(H) - m(a)$, not $m(H) - m(A)$

- ▶ Mono-H(bb) is sensitive at high $m(A)$
- ▶ Mono-Z(ll) is sensitive at low $m(H)$
- ▶ Mono-Z(qq) is sensitive at intermediate $m(H)$

→ **Good complementarity between mono-Z and mono-H**



Mono-Z(ll)

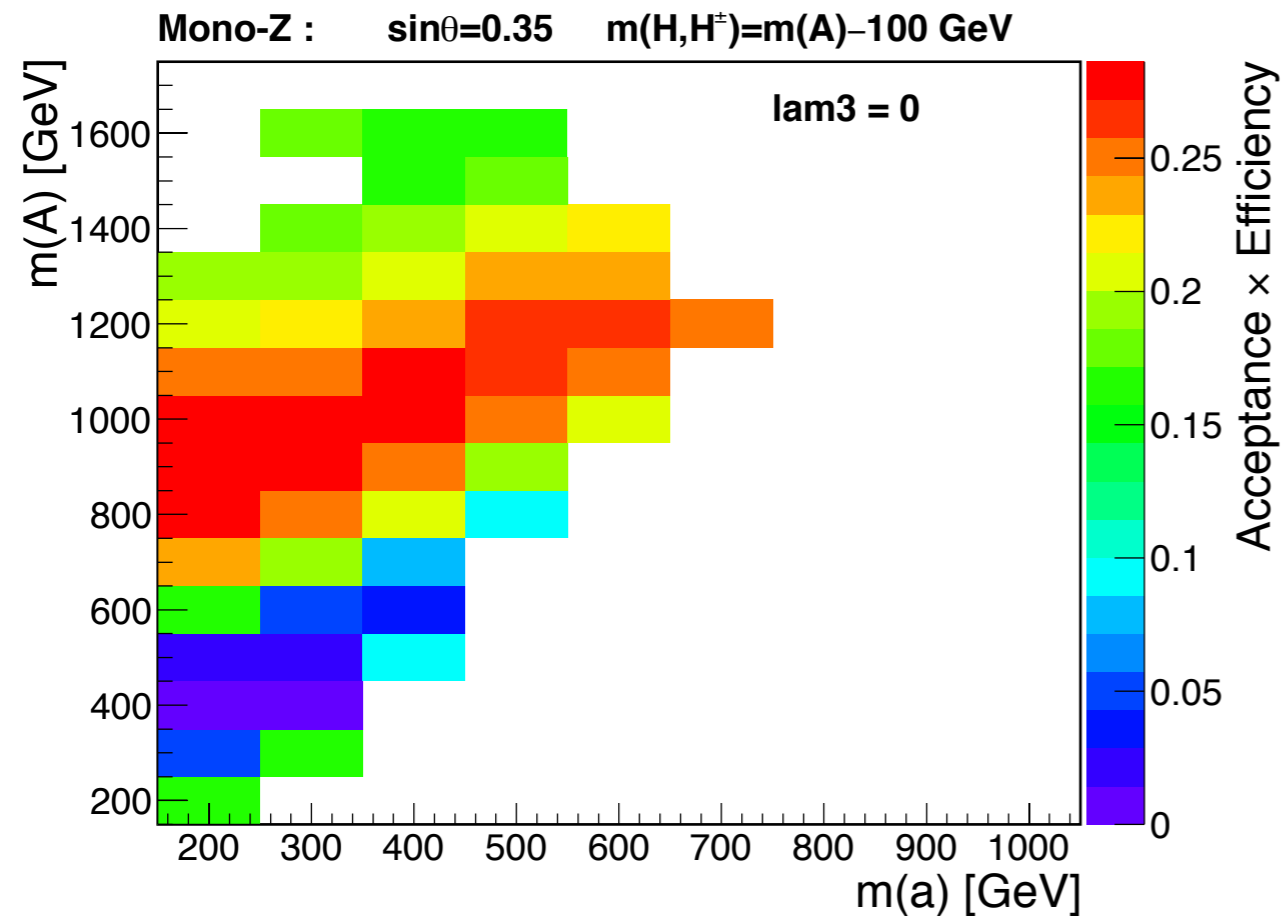


Mono-Z(qq)

Mono-Z Acceptance

Mono-Z(qq)

- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H) = m(A) - 100$ GeV



Acceptance varies significantly with mass difference $\Delta m = m(H) - m(a)$

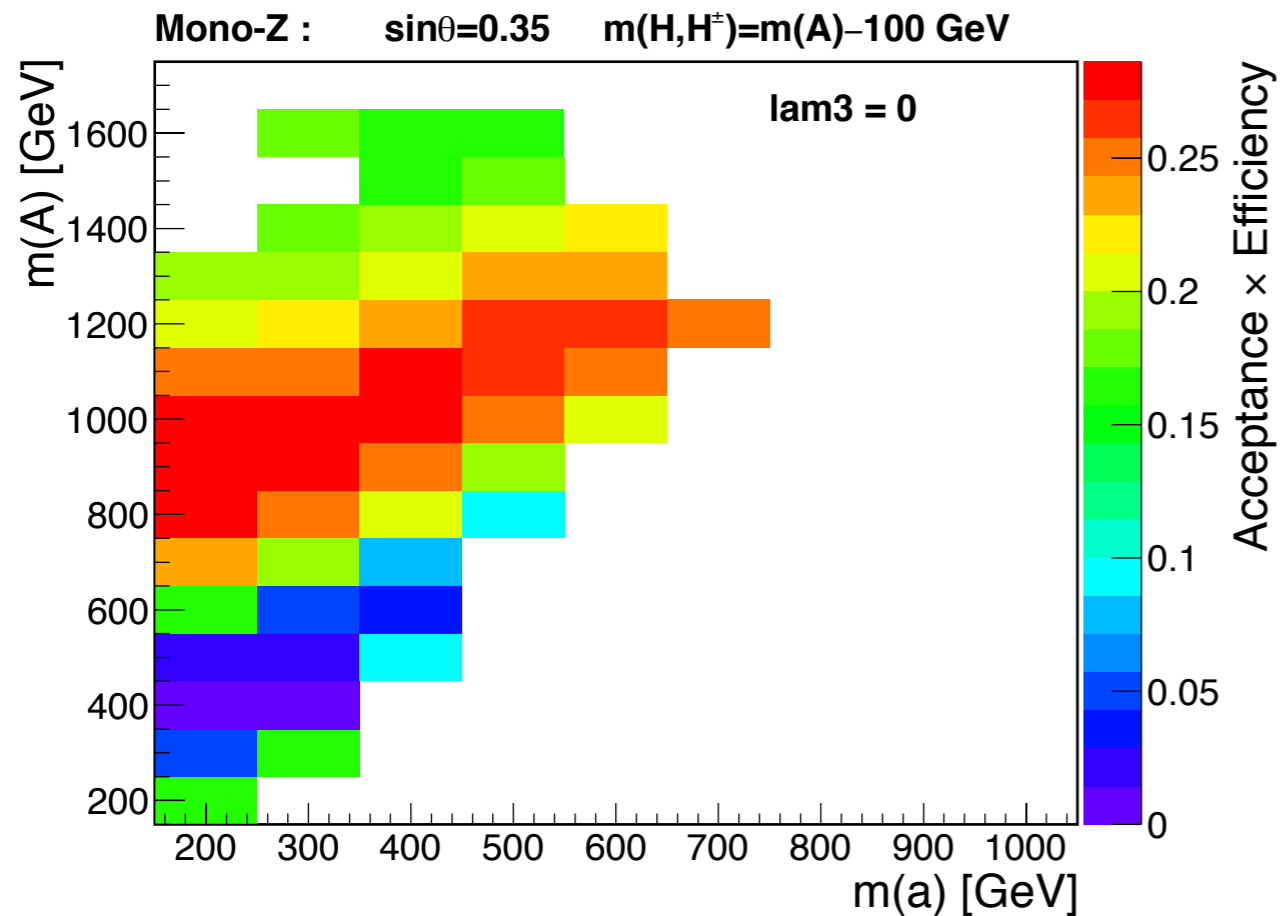
→ Kinematic properties of the mono-Z signal is characterized by Δm

acceptance gets minimum(maximum)
when $\Delta m = m(H) - m(a) \sim 0(600)$ GeV

Mono-Z Acceptance

Mono-Z(qq)

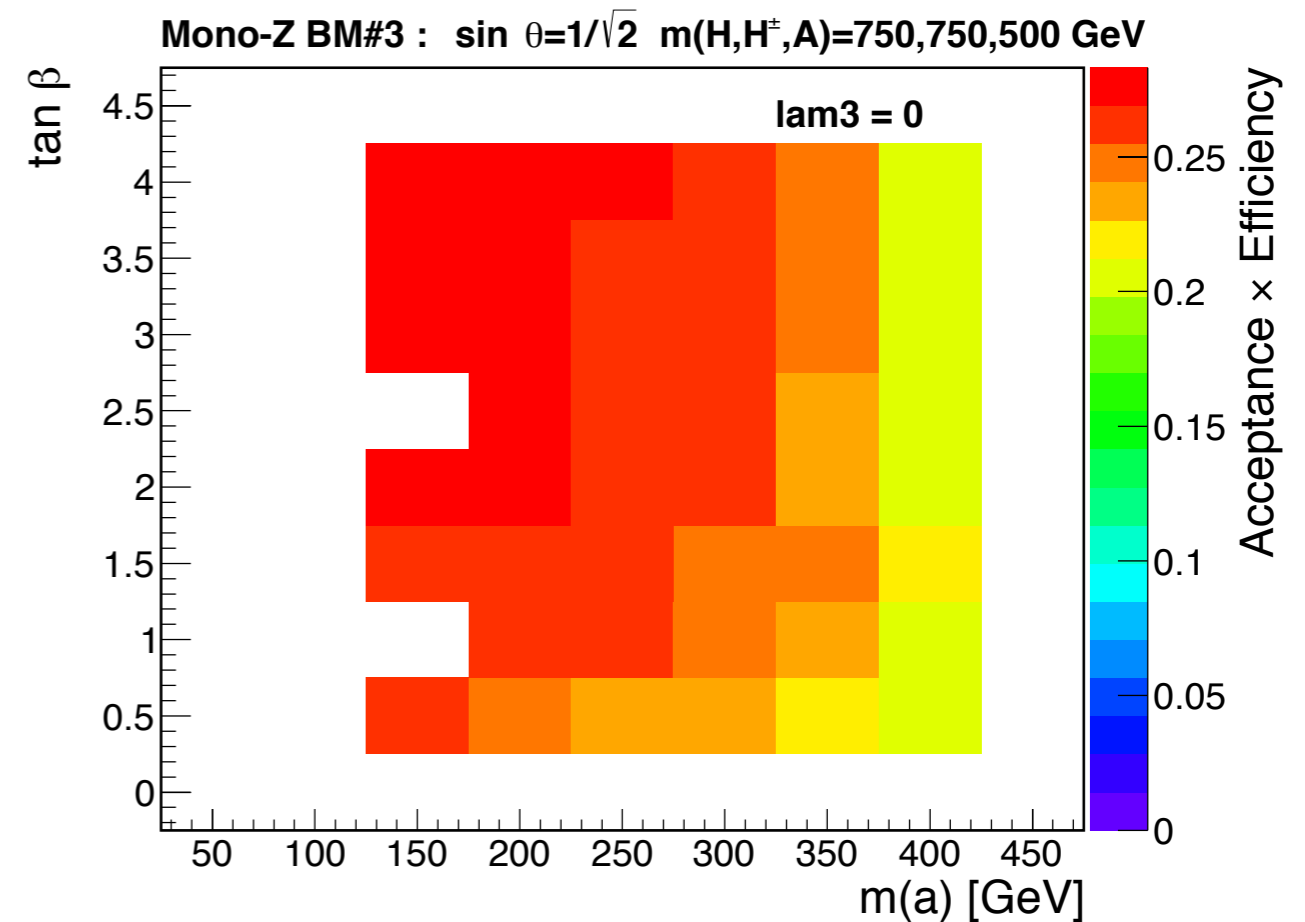
- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H) = m(A) - 100$ GeV



acceptance gets minimum(maximum)
when $\Delta m = m(H) - m(a) \sim 0(600)$ GeV

Benchmark #3

- ▶ $\tan\beta$ vs $m(a)$ grid
- ▶ $m(H) = 750$ GeV, $m(A) = 500$ GeV

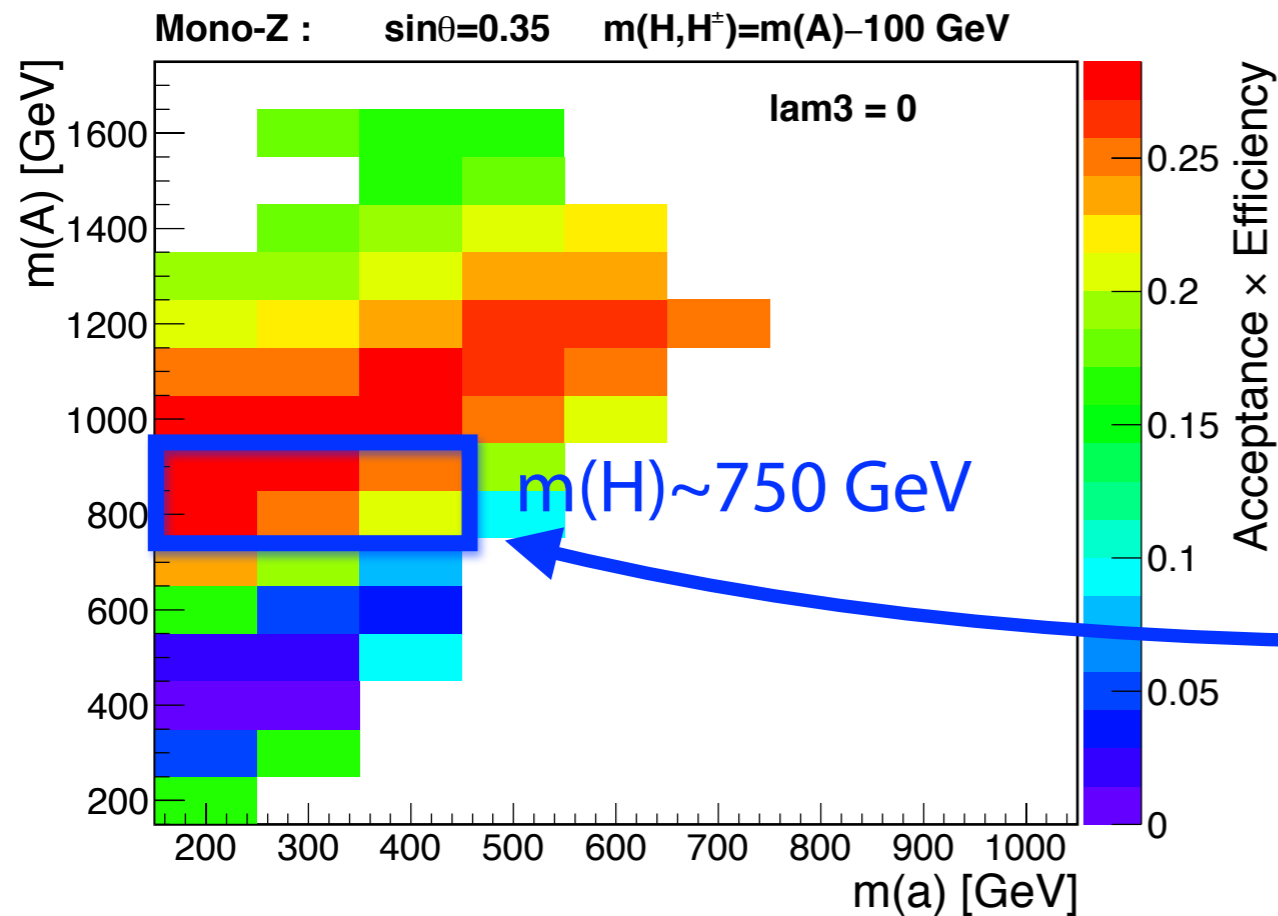


$m(a)$ dependence changes at low $\tan\beta$

Mono-Z Acceptance

Mono-Z(qq)

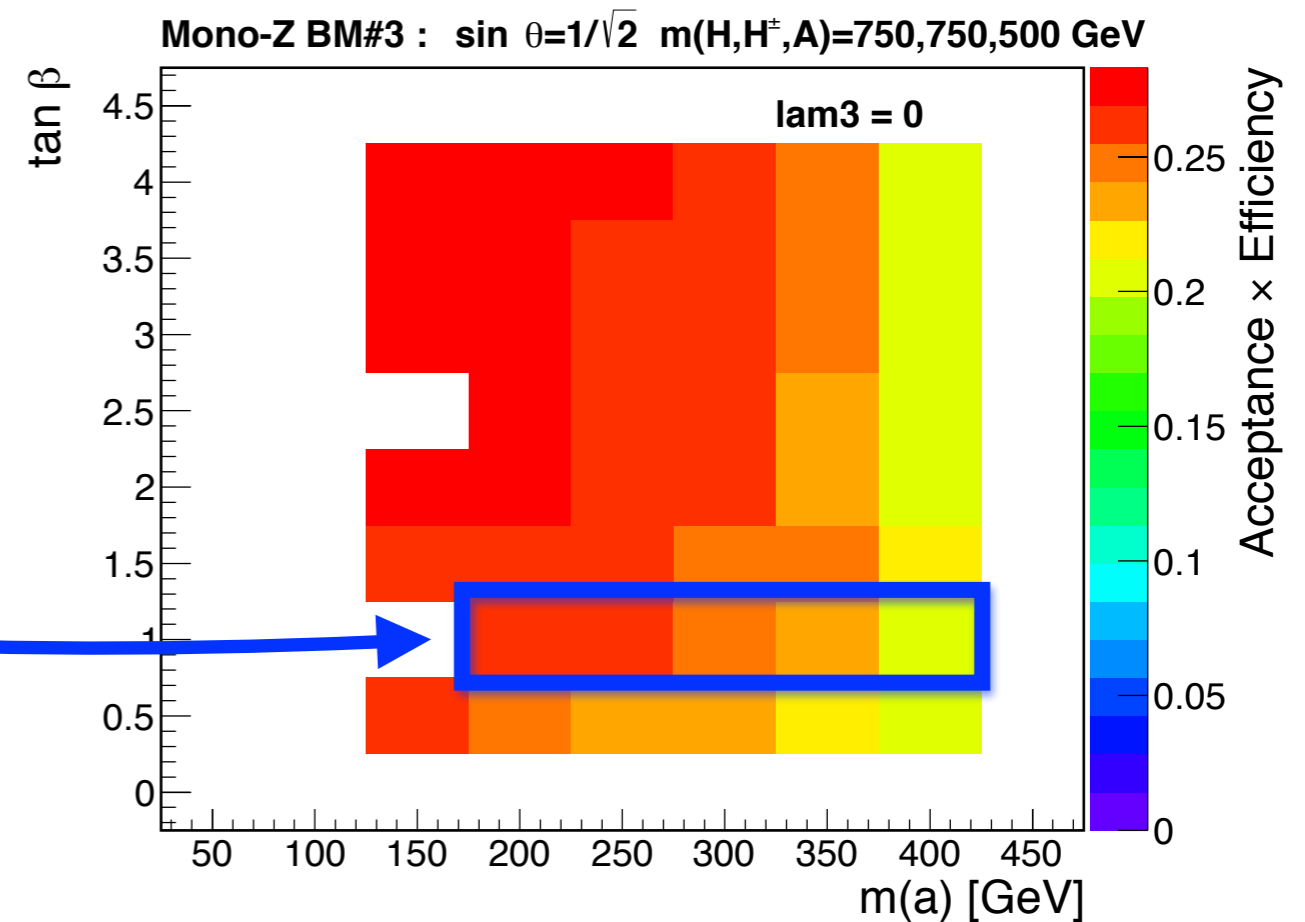
- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H) = m(A) - 100$ GeV



acceptance gets minimum(maximum)
when $\Delta m = m(H) - m(a) \sim 0(600)$ GeV

Benchmark #3

- ▶ $\tan\beta$ vs $m(a)$ grid
- ▶ $m(H) = 750$ GeV, $m(A) = 500$ GeV



$m(a)$ dependence changes at low $\tan\beta$

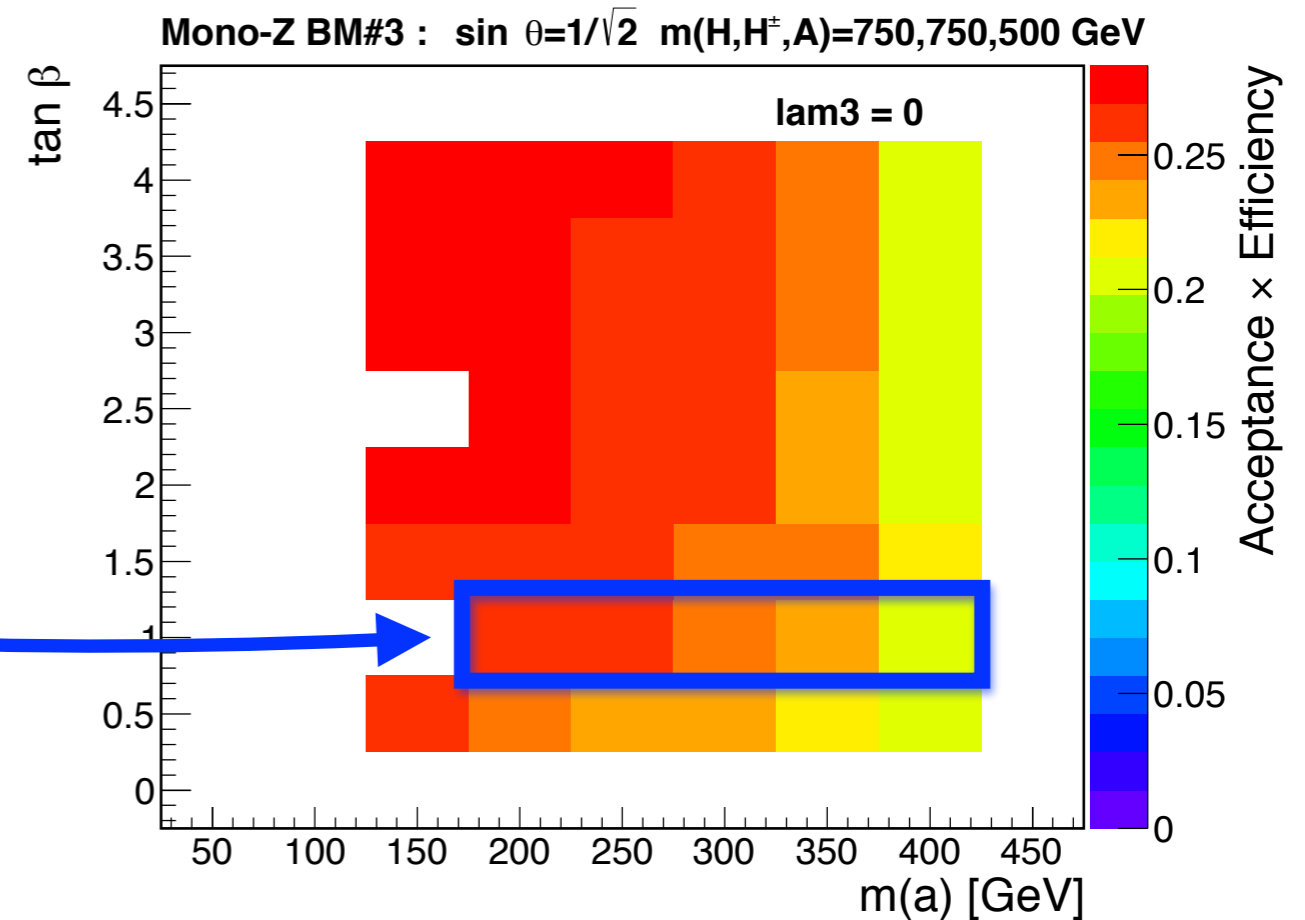
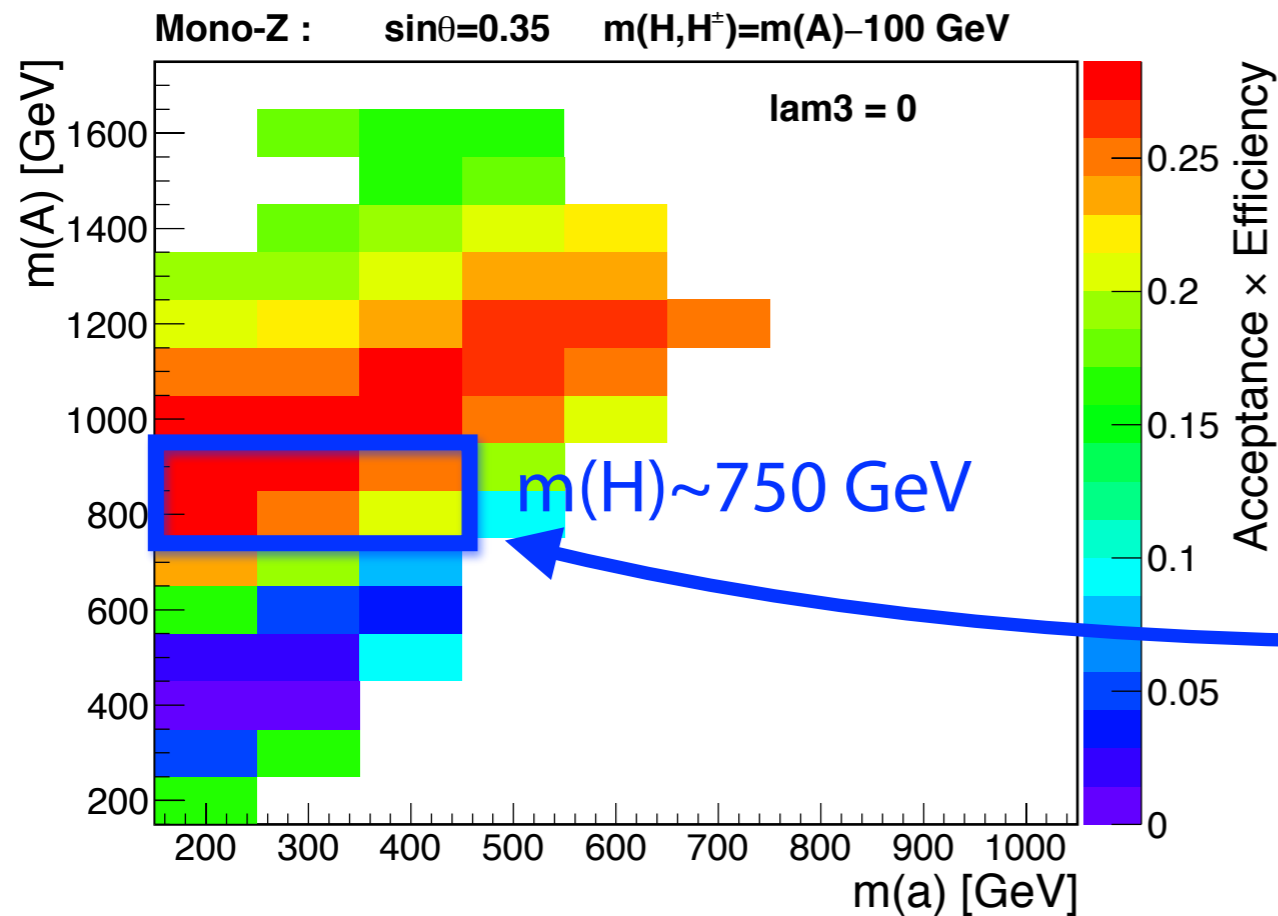
Mono-Z Acceptance

Mono-Z(qq)

- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H) = m(A) - 100$ GeV

Benchmark #3

- ▶ $\tan\beta$ vs $m(a)$ grid
- ▶ $m(H) = 750$ GeV, $m(A) = 500$ GeV



acceptance gets minimum(maximum)
when $\Delta m = m(H) - m(a) \sim 0(600)$ GeV

$m(a)$ dependence changes at low $\tan\beta$

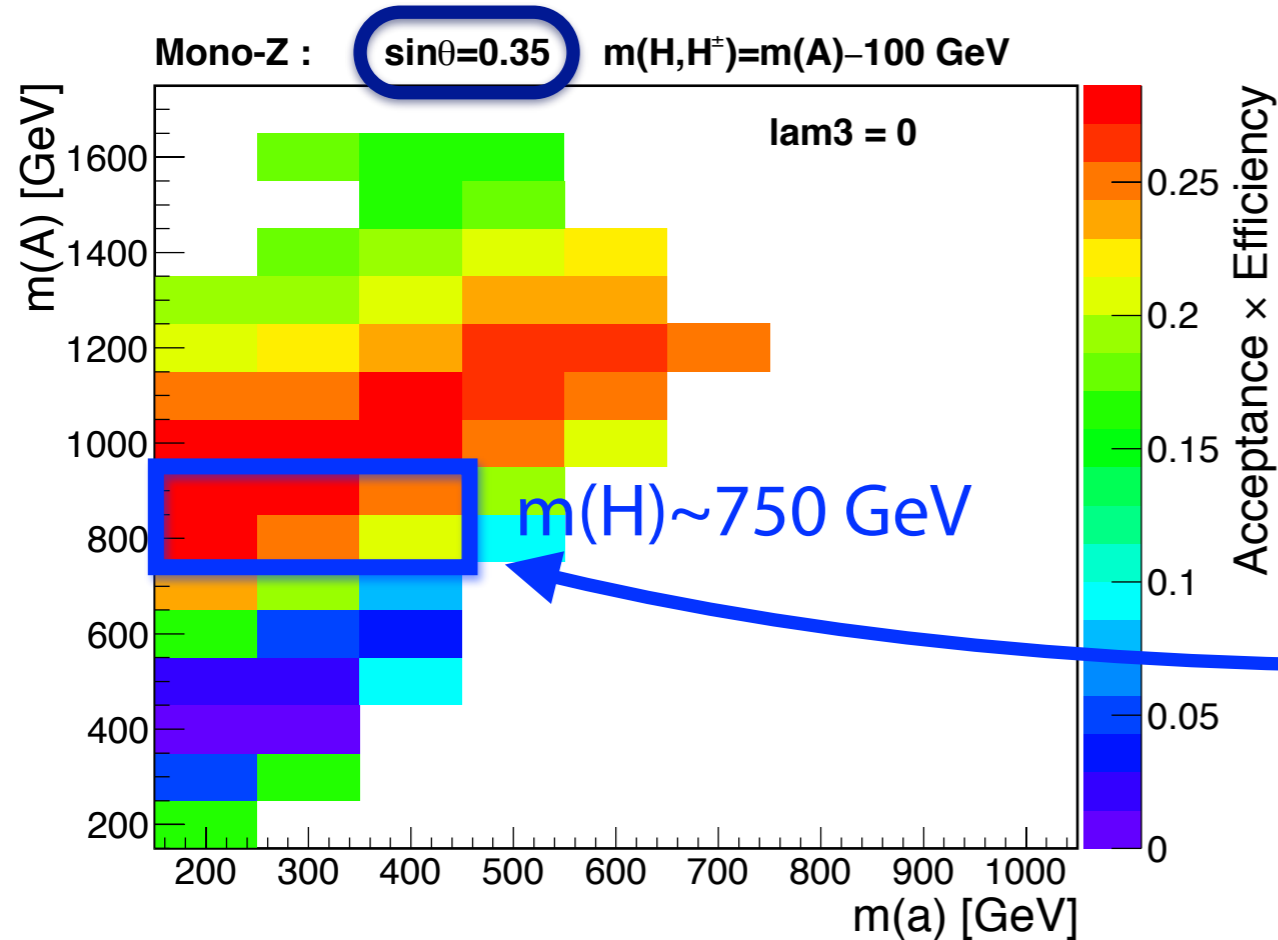
Similar acceptance when $\Delta m = m(H) - m(a)$ is similar

→ Extract limit in $\tan\beta$ vs $m(a)$ grid from acceptance in $m(A)$ vs $m(a)$?

Mono-Z Acceptance

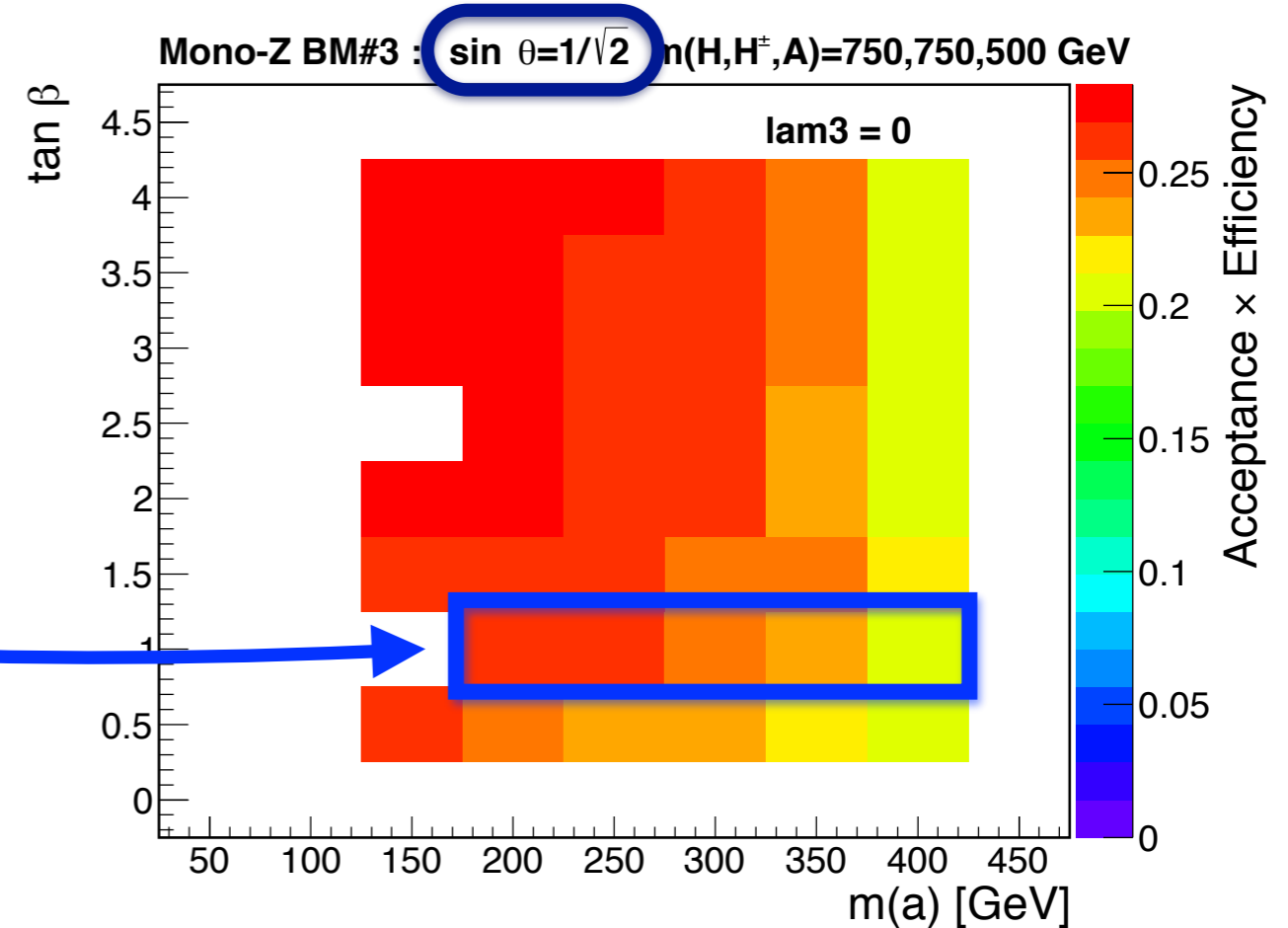
Mono-Z(qq)

- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H) = m(A) - 100$ GeV



Benchmark #3

- ▶ $\tan\beta$ vs $m(a)$ grid
- ▶ $m(H) = 750$ GeV, $m(A) = 500$ GeV



acceptance gets minimum(maximum)
when $\Delta m = m(H) - m(a) \sim 0(600)$ GeV

$m(a)$ dependence changes at low $\tan\beta$

Similar acceptance when $\Delta m = m(H) - m(a)$ is similar

→ Extract limit in $\tan\beta$ vs $m(a)$ grid from acceptance in $m(A)$ vs $m(a)$?

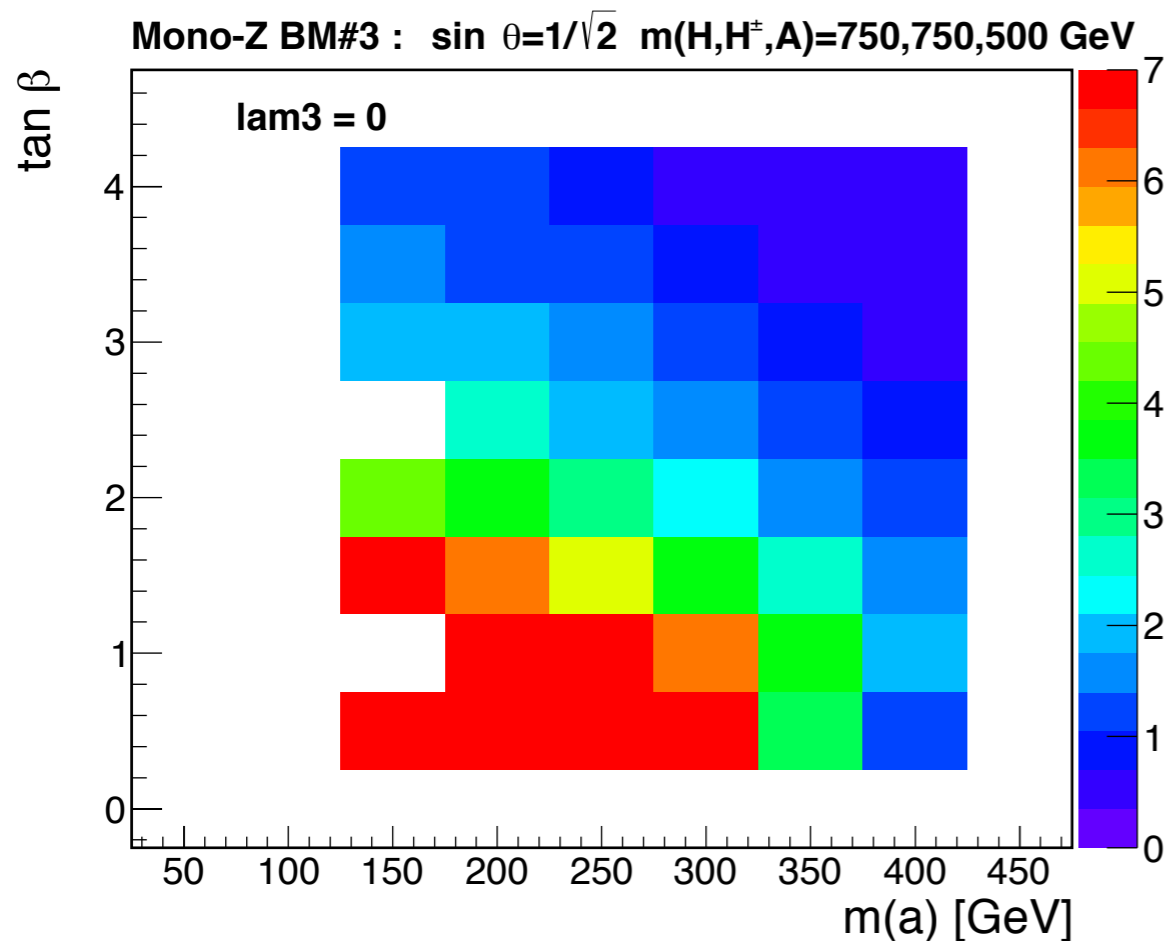
Sensitivity for Benchmark #3

Evaluate significance using acceptance
in $m(H)$ vs $m(a)$ grid

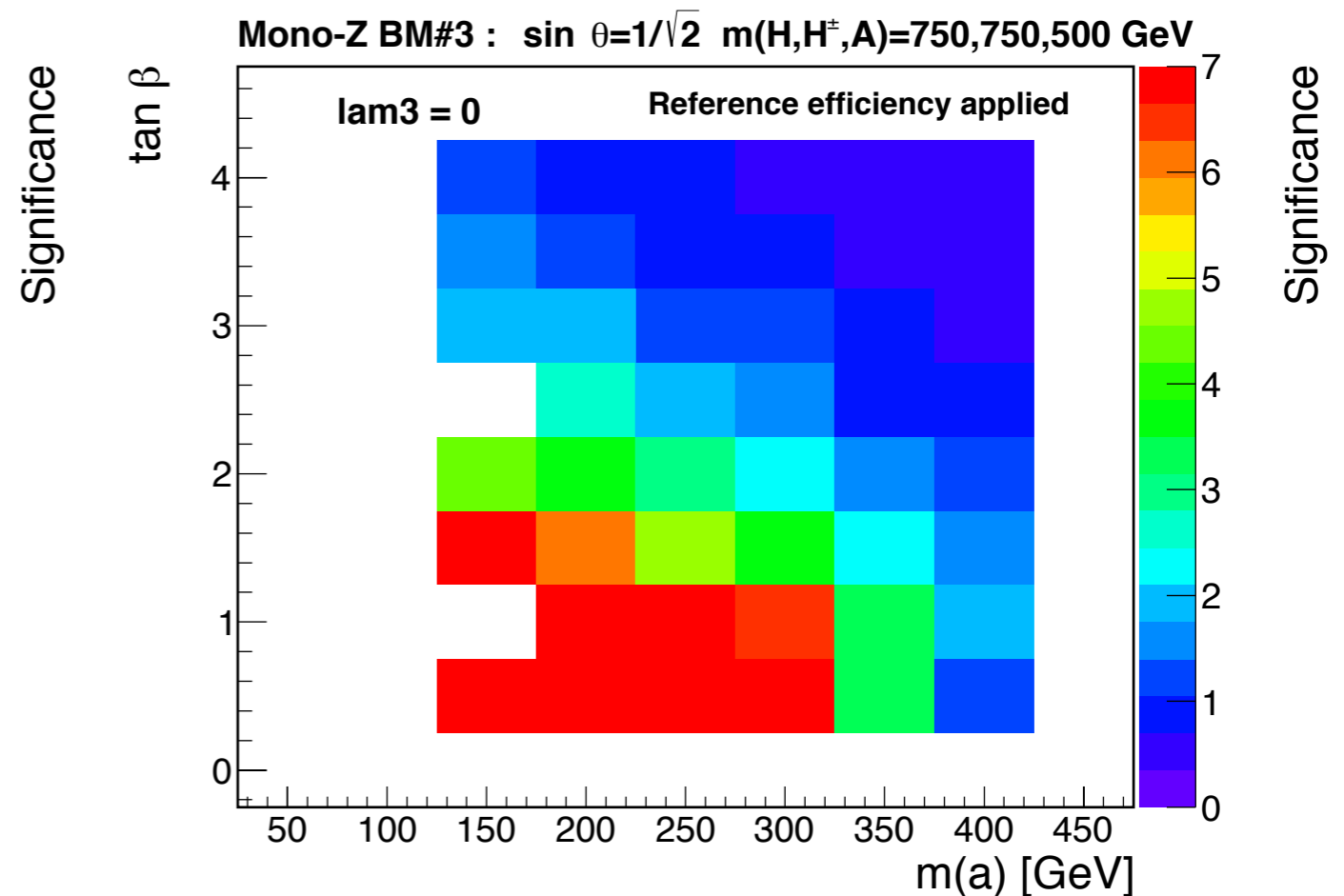
Mono-Z(qq)

- ▶ Benchmark #3
- ▶ $m(H)=750$ GeV, $m(A)=500$ GeV

Significance calculated directly



Significance calculated* using
acceptance in $m(A)$ vs $m(a)$ grid



* No $\tan\beta$ dependence considered

Sensitivity for Benchmark #3

Evaluate significance using acceptance
in $m(H)$ vs $m(a)$ grid

Mono-Z(qq)

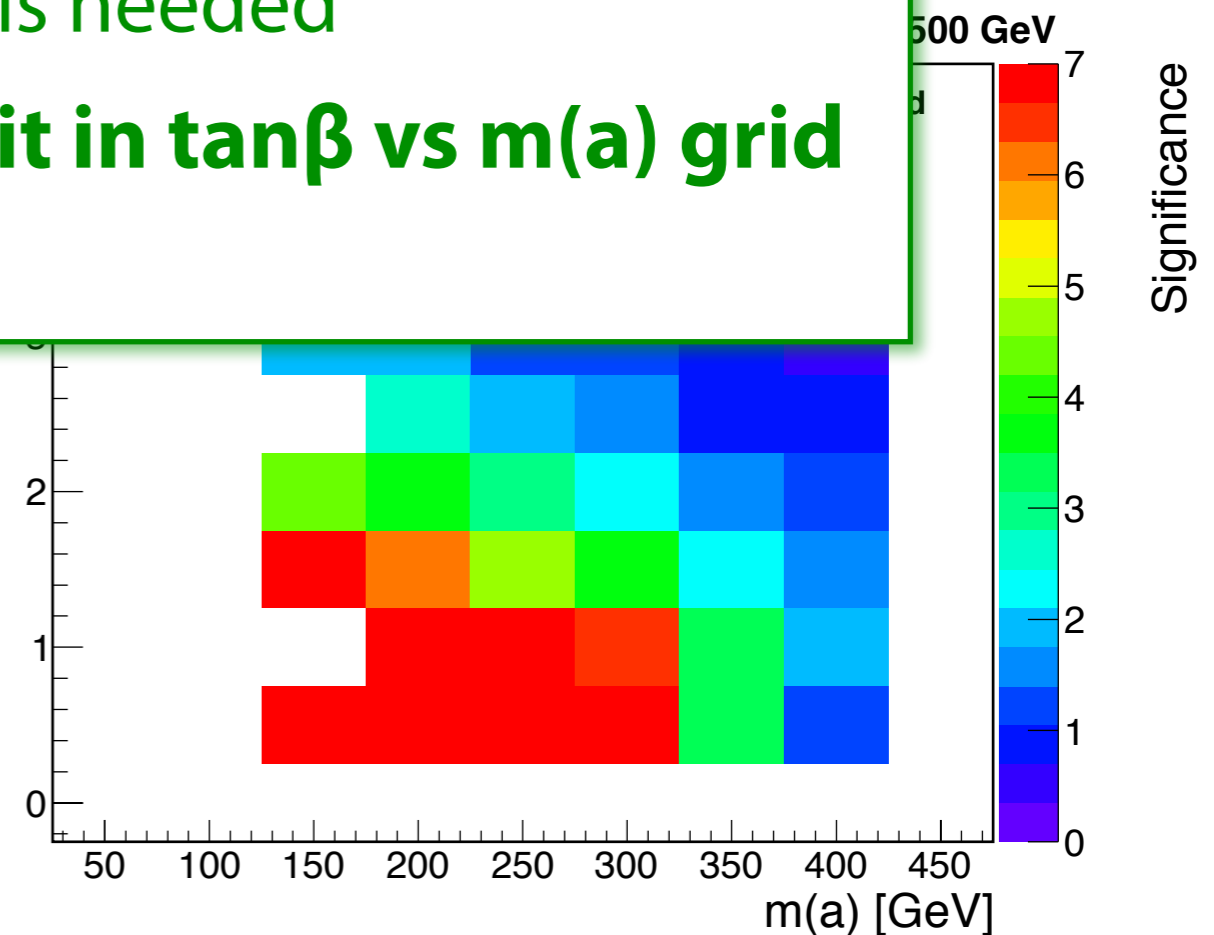
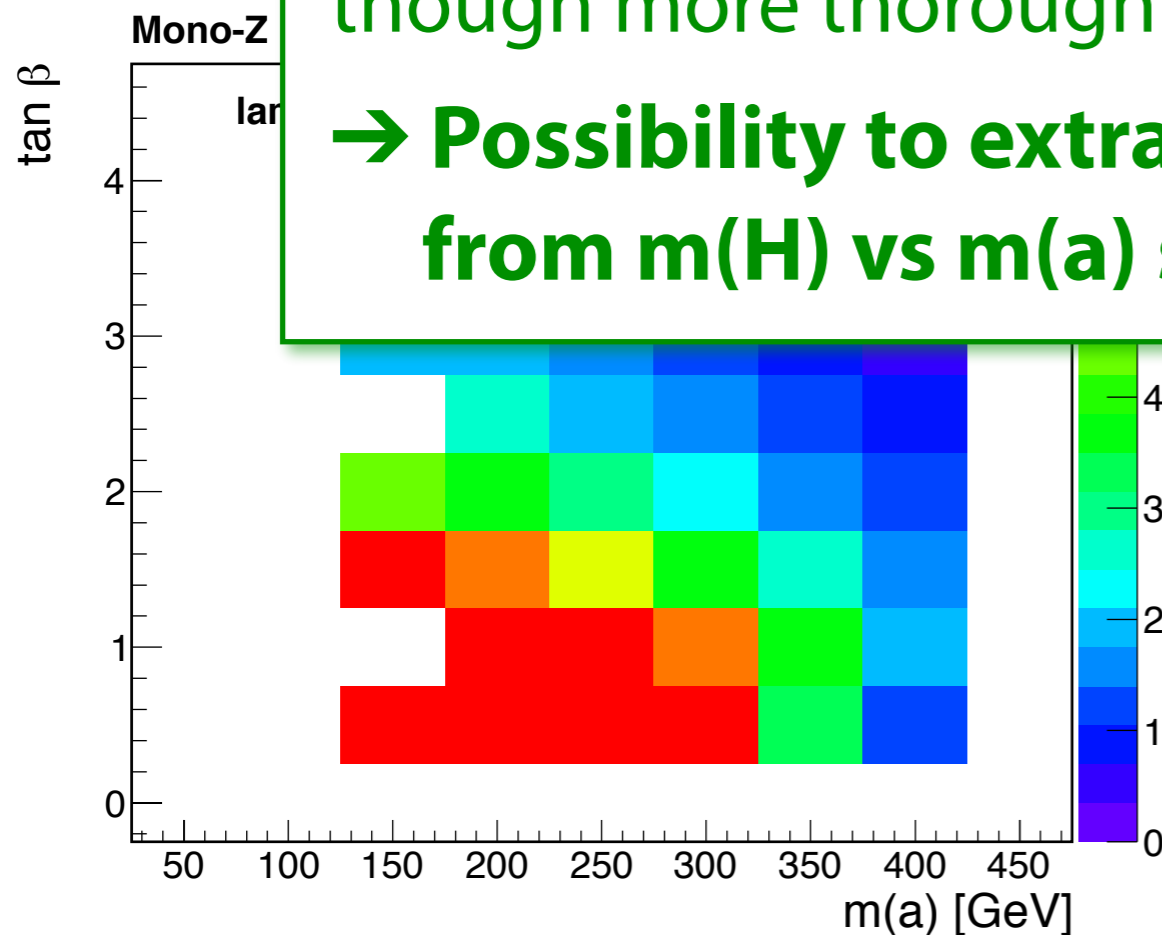
- ▶ Benchmark #3
- ▶ $m(H)=750$ GeV, $m(A)=500$ GeV

Significance calculated directly

Significance calculated* using grid

Consistent results obtained from the two approaches,
though more thorough check is needed

→ Possibility to extract limit in $\tan\beta$ vs $m(a)$ grid
from $m(H)$ vs $m(a)$ scan

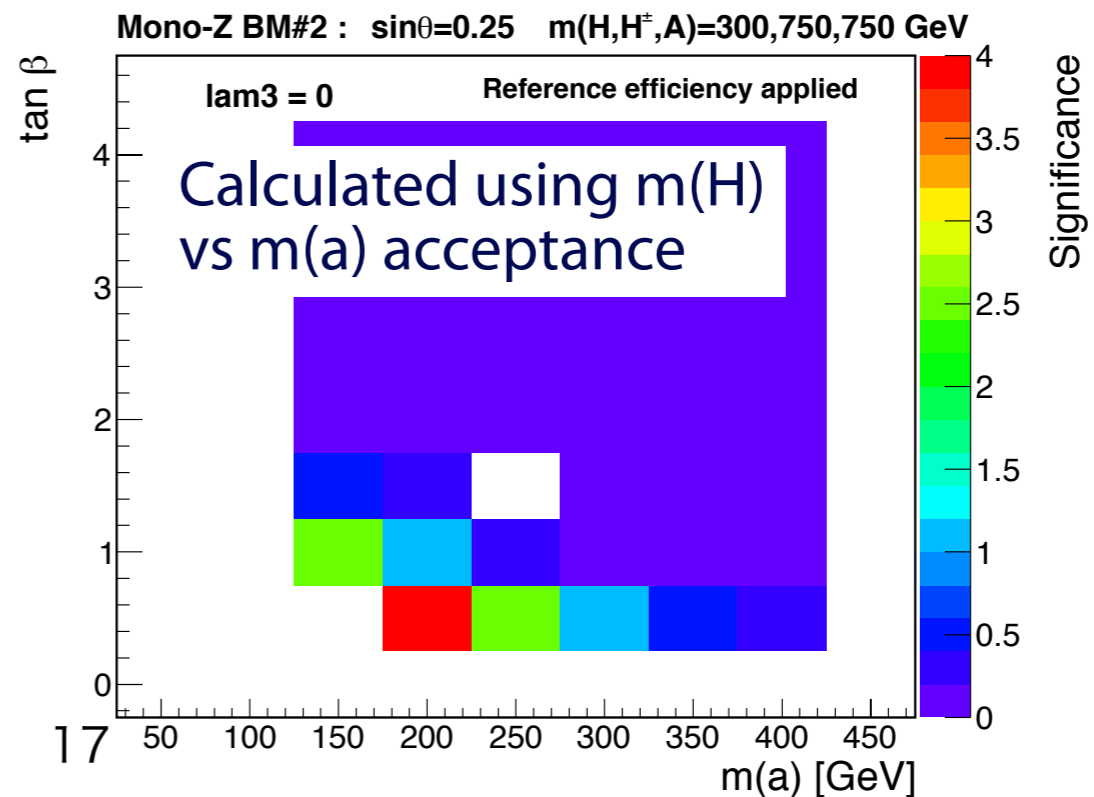
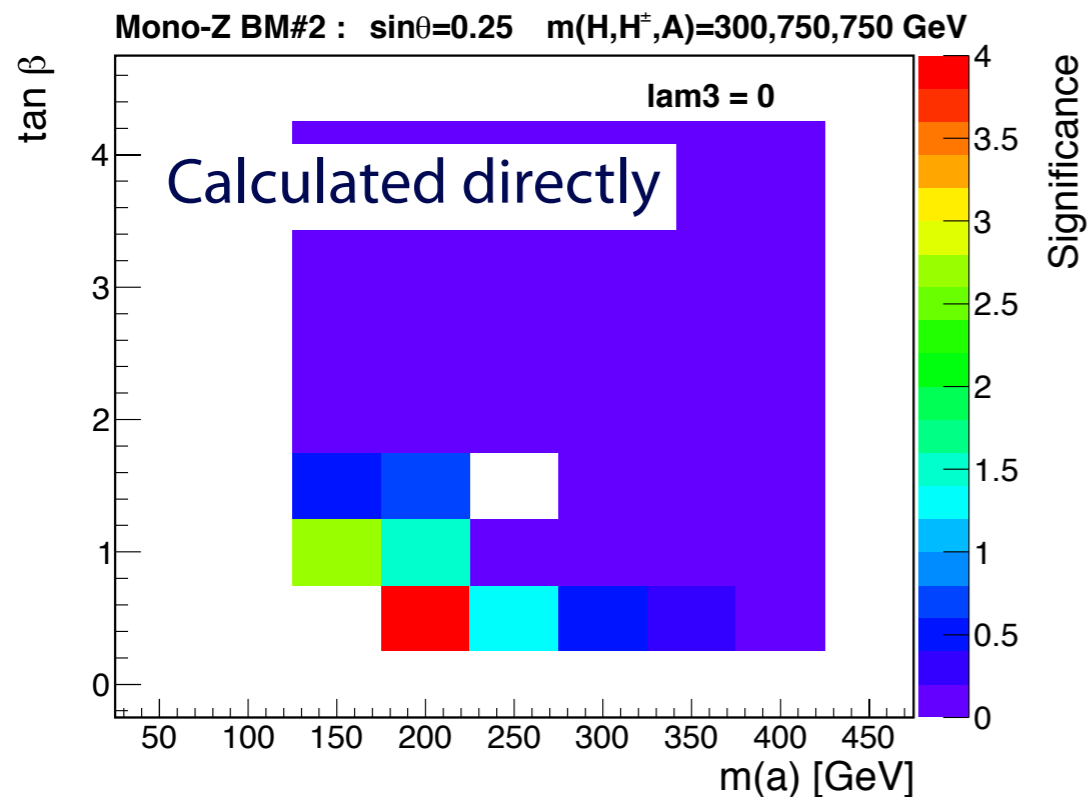
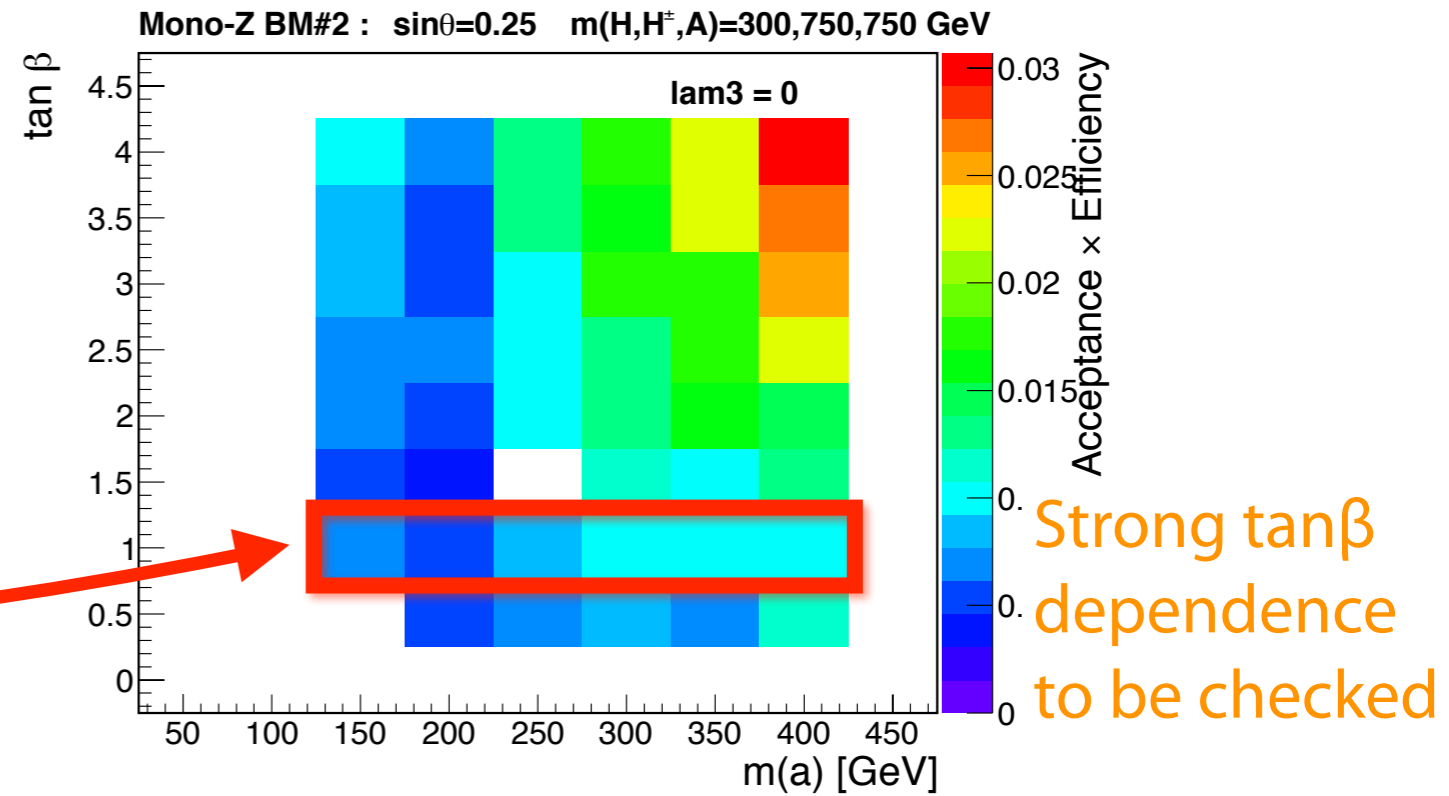
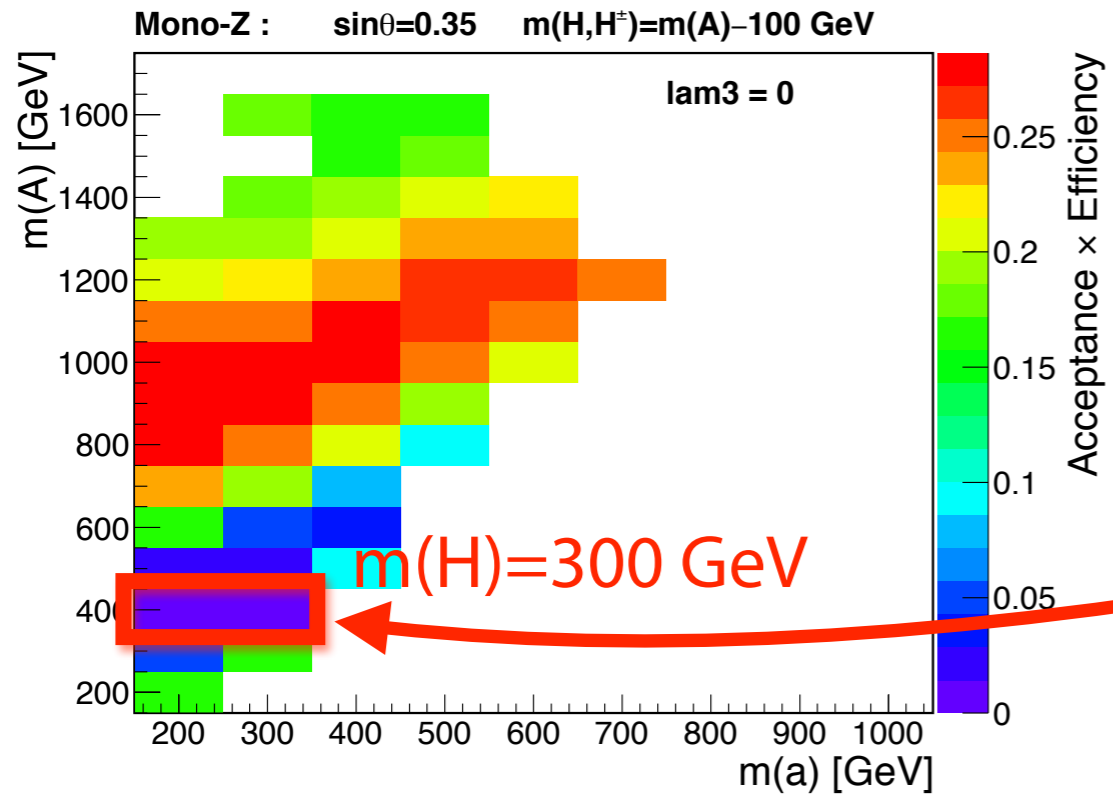


* No $\tan\beta$ dependence considered

Sensitivity for Benchmark #2

Evaluate significance using acceptance
in $m(H)$ vs $m(a)$ grid

Mono-Z(qq)



Mono-Z Acceptance

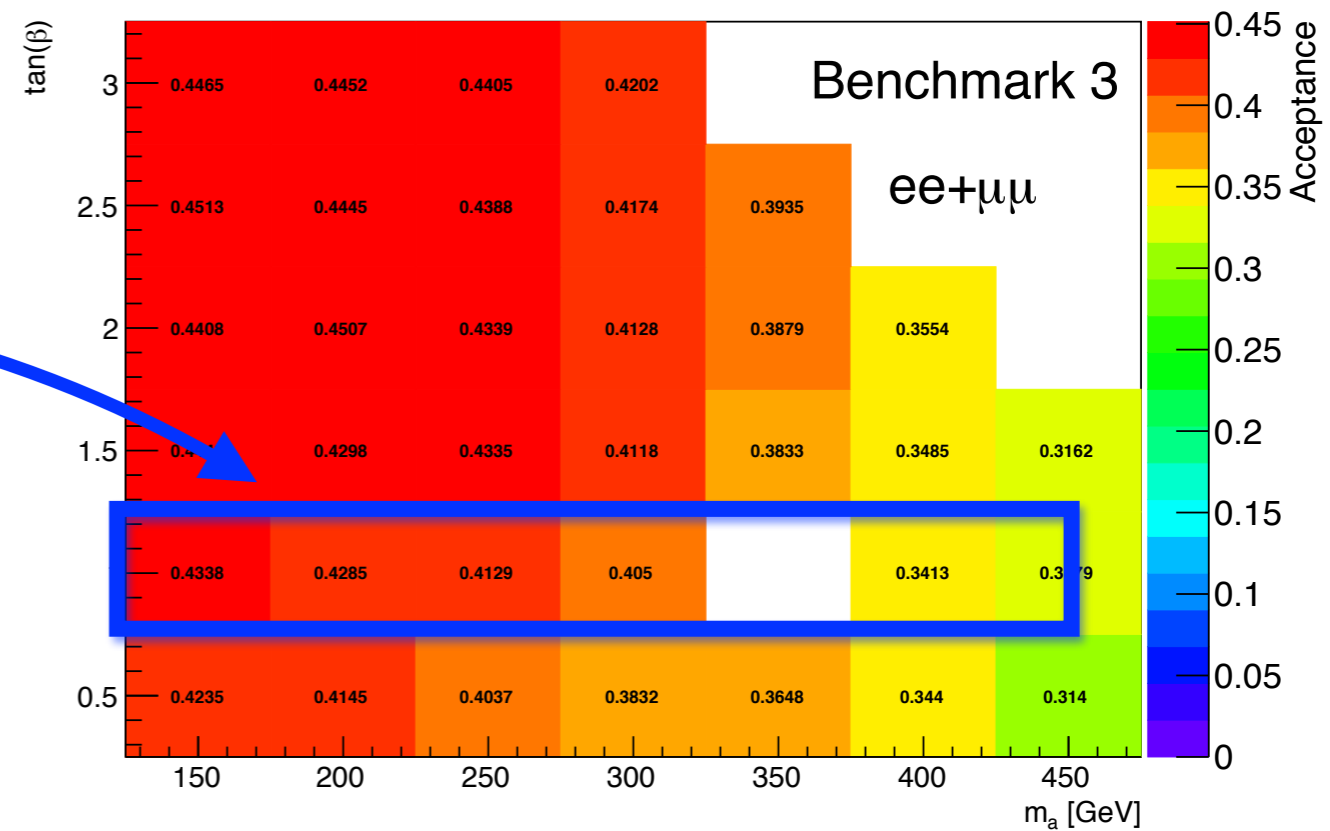
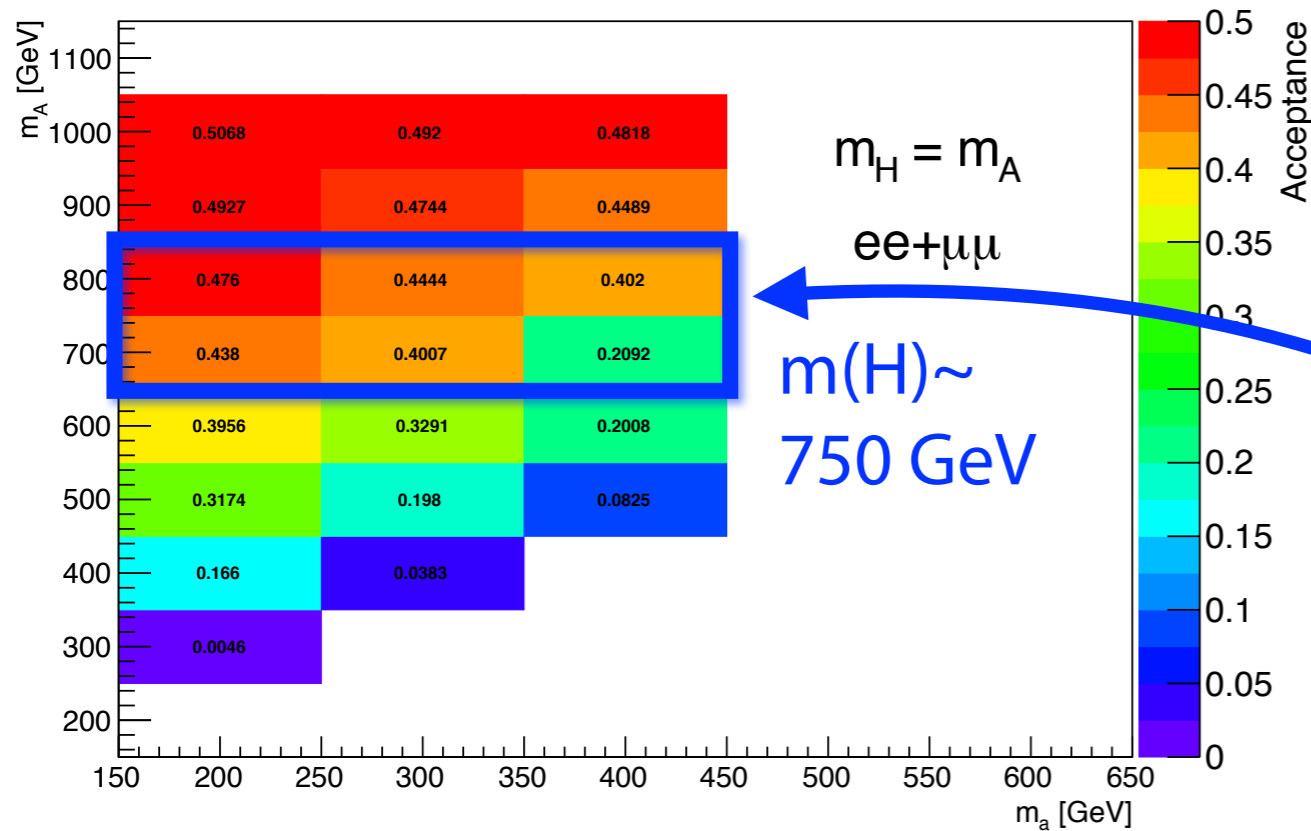
C. Anelli, K. Hamano, A. Elliot

Mono-Z(II)

- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H)=m(A)$

Benchmark #3

- ▶ $\tan\beta$ vs $m(a)$ grid
- ▶ $m(H)=750$ GeV, $m(A)=500$ GeV



acceptance gets minimum(maximum)
when $\Delta m = m(H) - m(a) \sim 0(700)$ GeV

$m(a)$ dependence changes at low $\tan\beta$

$Z \rightarrow ll$ acceptance also mainly determined by $\Delta m = m(H) - m(a)$

Indicates that the same approach could work for $Z \rightarrow ll$

E_T^{miss} vs Δm checked in backup

Summary

- ▶ Performed sensitivity scan for mono-Z in $\tan\beta$ vs $m(a)$ grid
- ▶ Compared mono-Z sensitivity with mono-H(bb) in $m(A)$ vs $m(a)$ grid
→ **Observed good complementarity**
- ▶ Kinematic properties of mono-Z signal characterized by $\Delta m = m(H) - m(a)$
→ **Acceptance largely determined by Δm , not $m(H) - m(A)$**

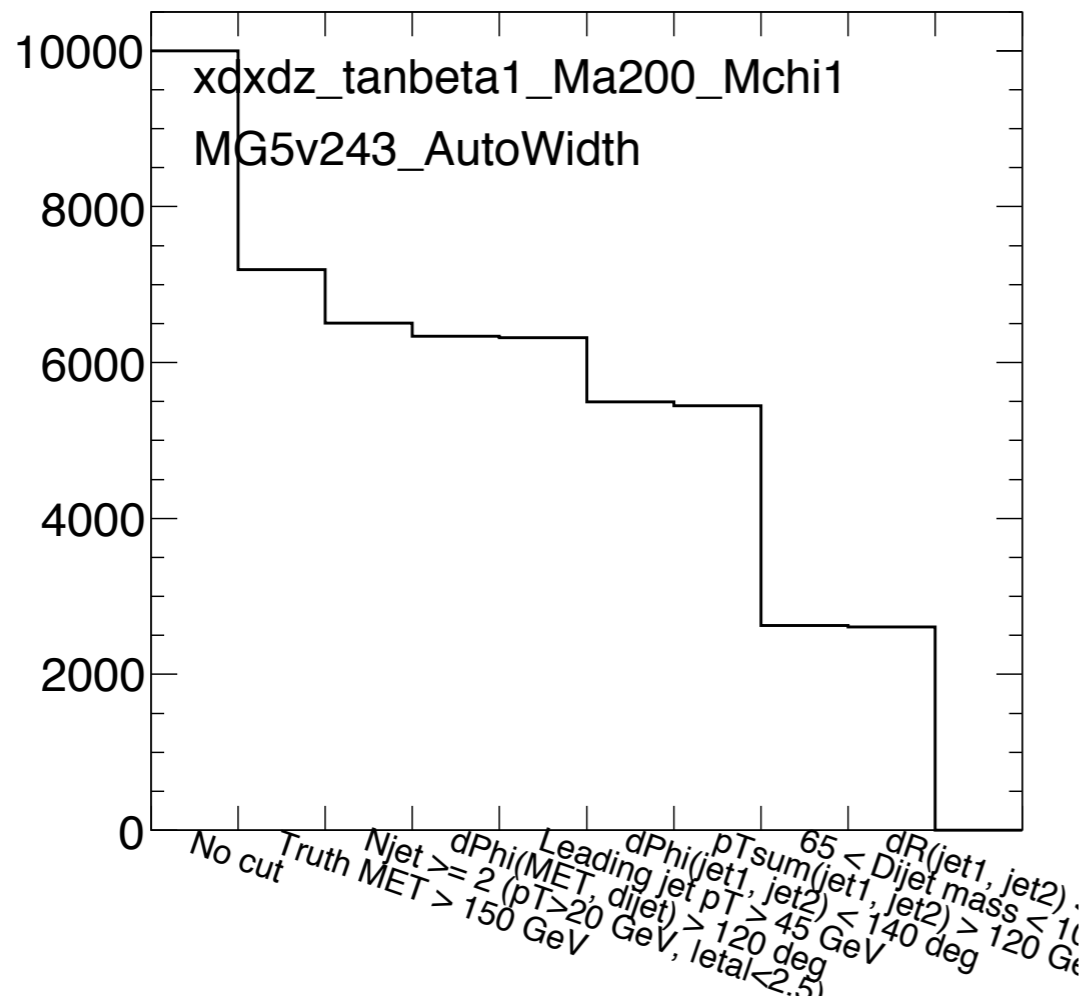
For grid scan :

- ▶ $m(H)$ vs $m(a)$ grid can cover wide range of kinematic properties
- ▶ Acceptance for a given $m(H)$ in $m(H)$ vs $m(a)$ grid could be used to set limit in $\tan\beta$ vs $m(a)$ grid (*in the region where there is no strong $\tan\beta$ or $\sin\theta$ dependence*) if fiducial limit is provided
→ under investigation
- ▶ If this works, it could be sufficient to have limit in two grids:
 - $m(H)$ vs $m(a)$ with $m(H) = m(A)$?
 - $\tan\beta$ vs $m(a)$ for benchmark #3to get constraint on other scenarios

Backup

Benchmark #3

- ▶ Truth monoZ cut 26% efficiency

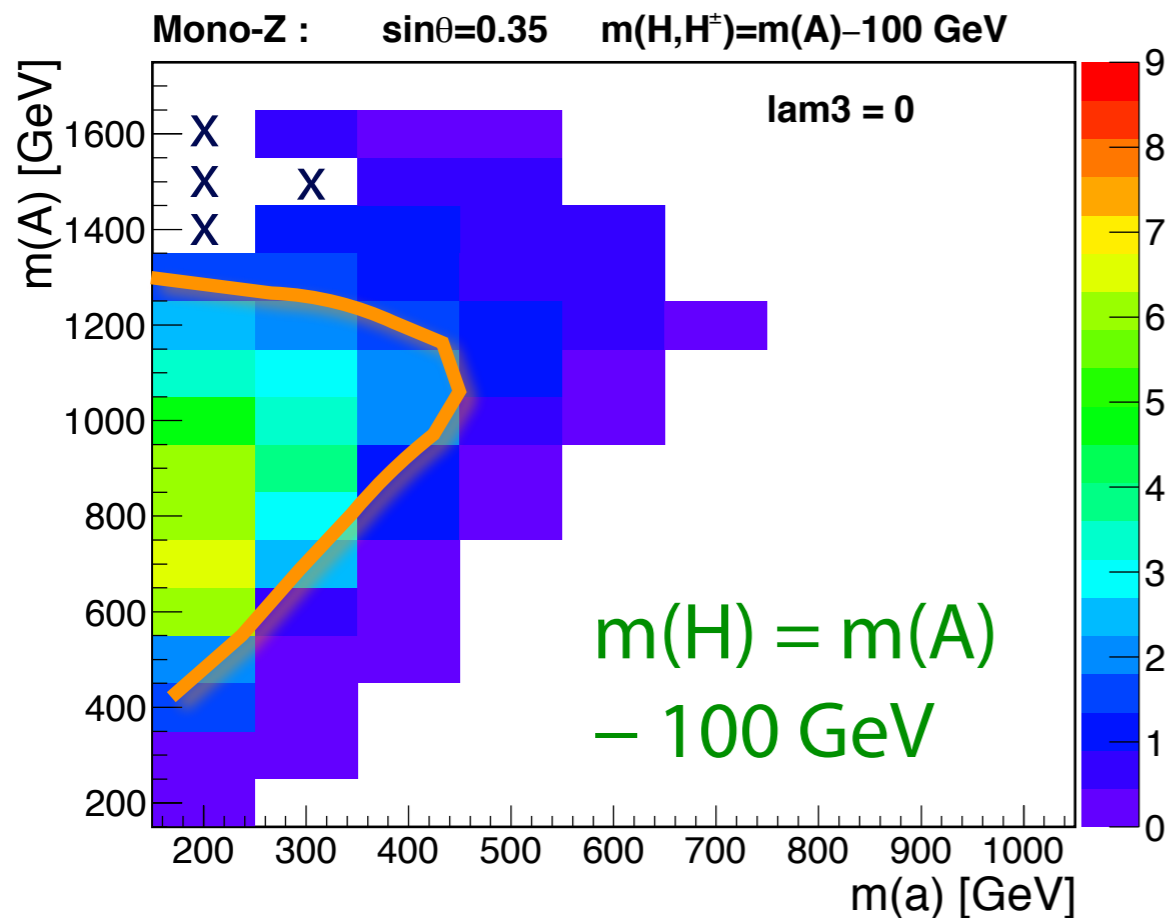
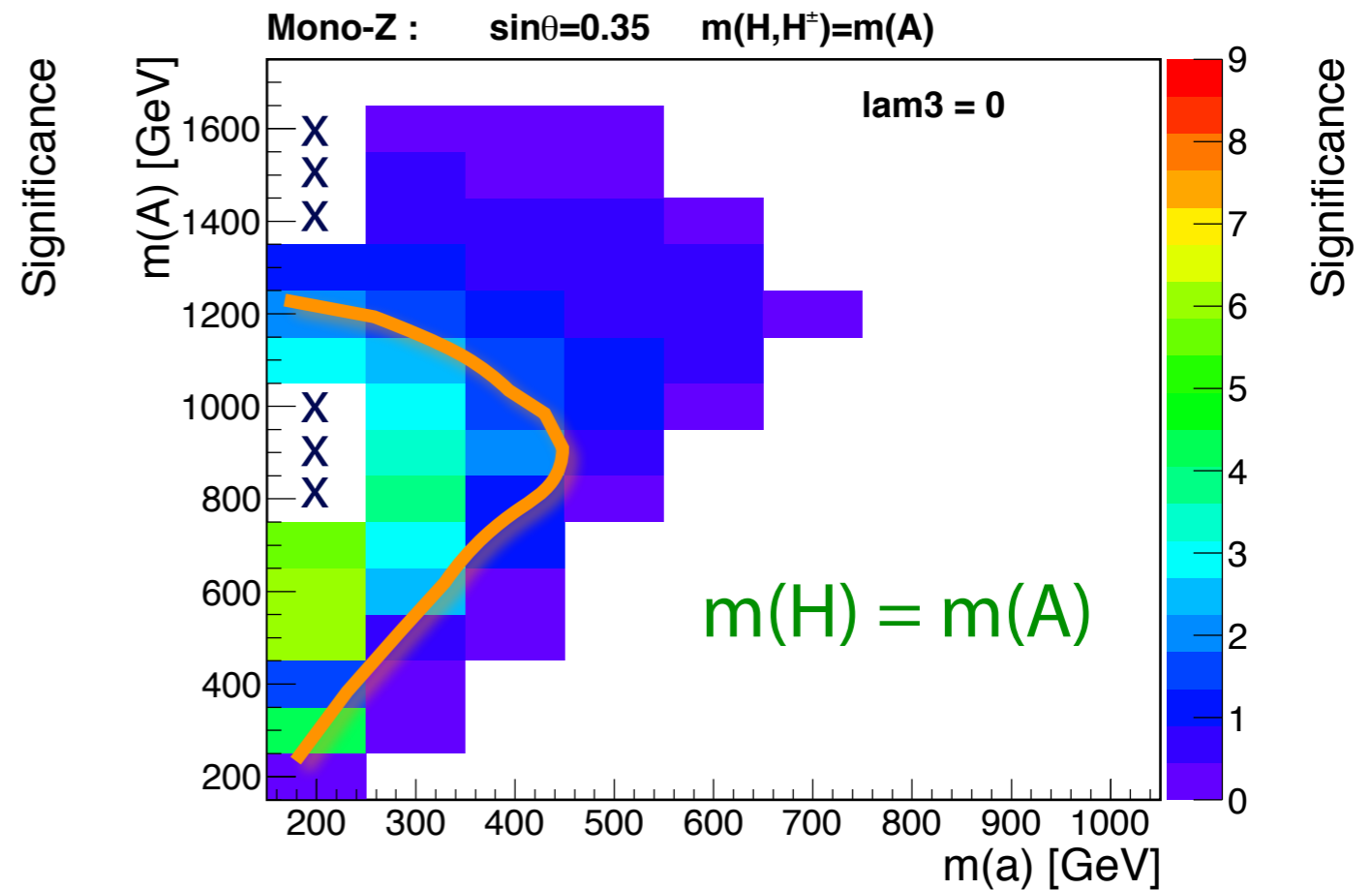
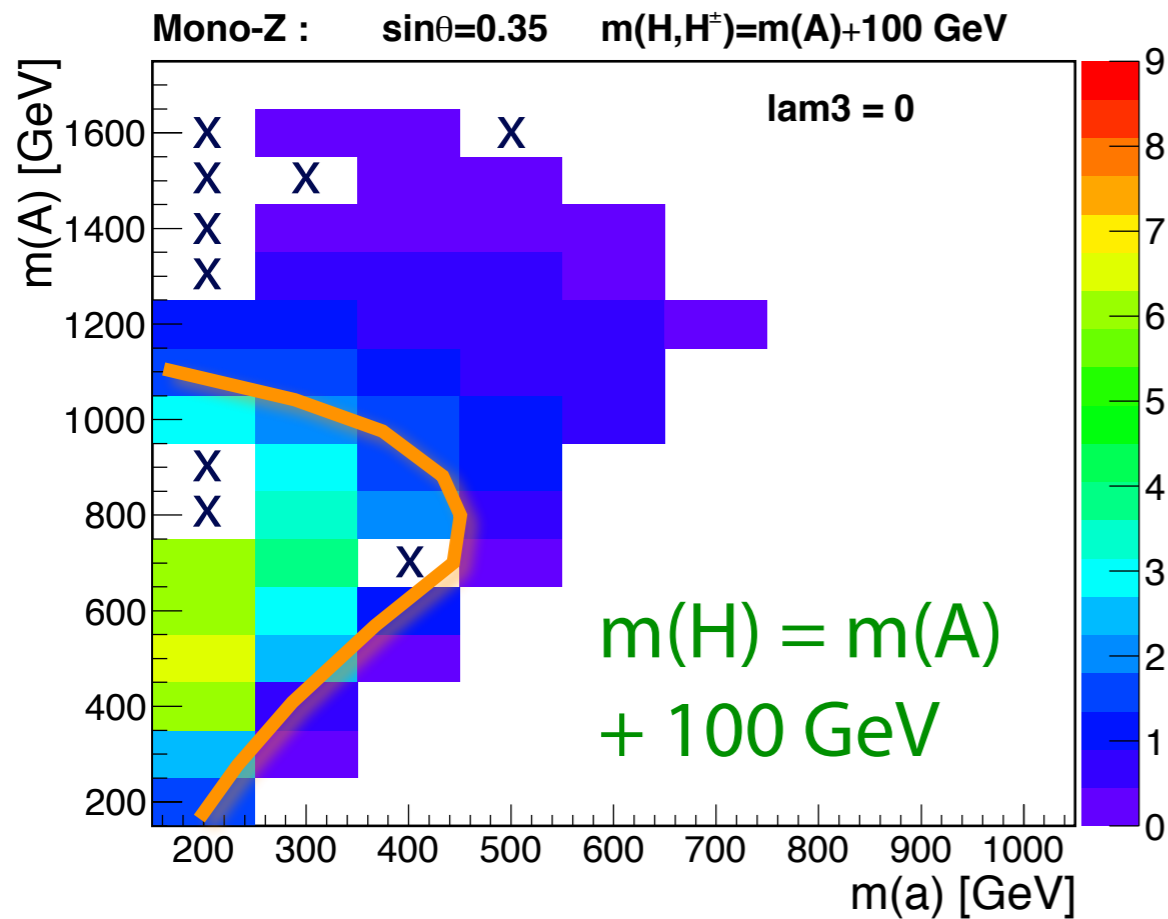


Resolved selections for Mono-Z

- ▶ Truth MET > 150 GeV
- ▶ Njet ≥ 2 (pT > 20 GeV, eta < 2.5)
- ▶ dPhi(MET, dijet) > 120 deg
- ▶ Leading jet pT > 45 GeV
- ▶ dPhi(jet1, jet2) < 140 deg
- ▶ pTsum(jet1, jet2) > 120 GeV (Njet = 2) or pTsum(jet1, jet2, jet3) > 150 GeV (Njet ≥ 3)
- ▶ 65 < Dijet mass < 105 GeV
- ▶ dR(jet1, jet2) < 1.4

→ Truth mono-Z cut efficiency ~ 26%

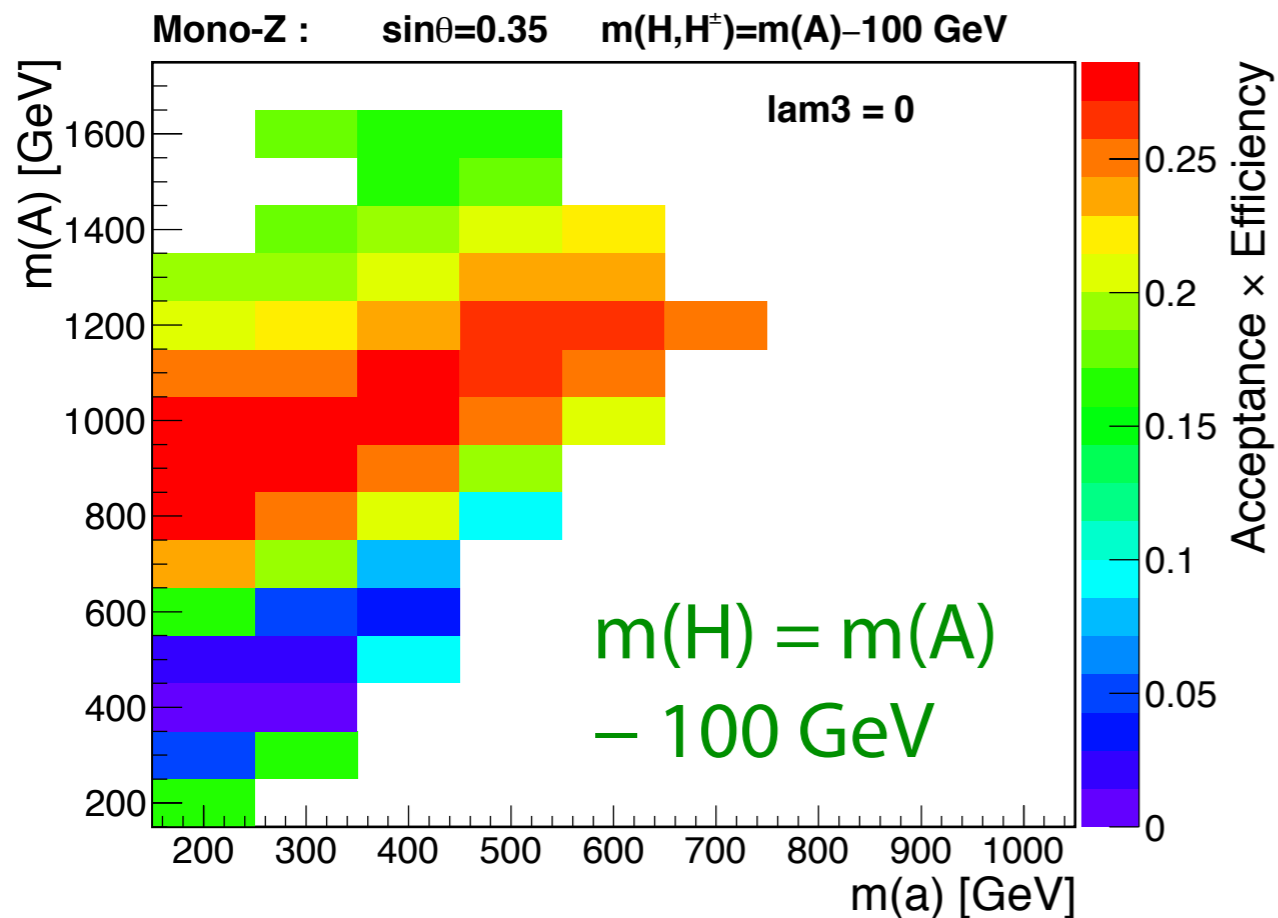
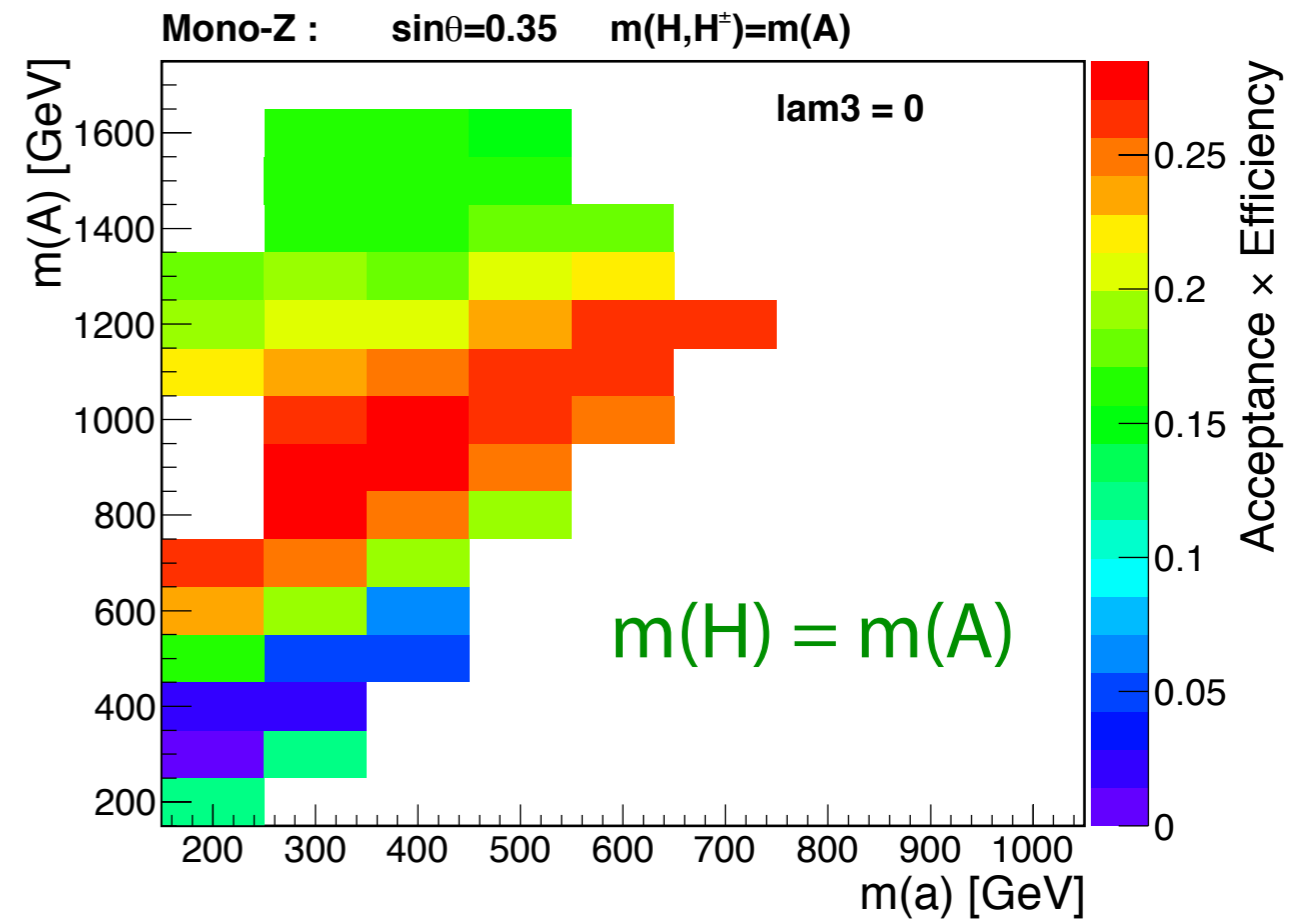
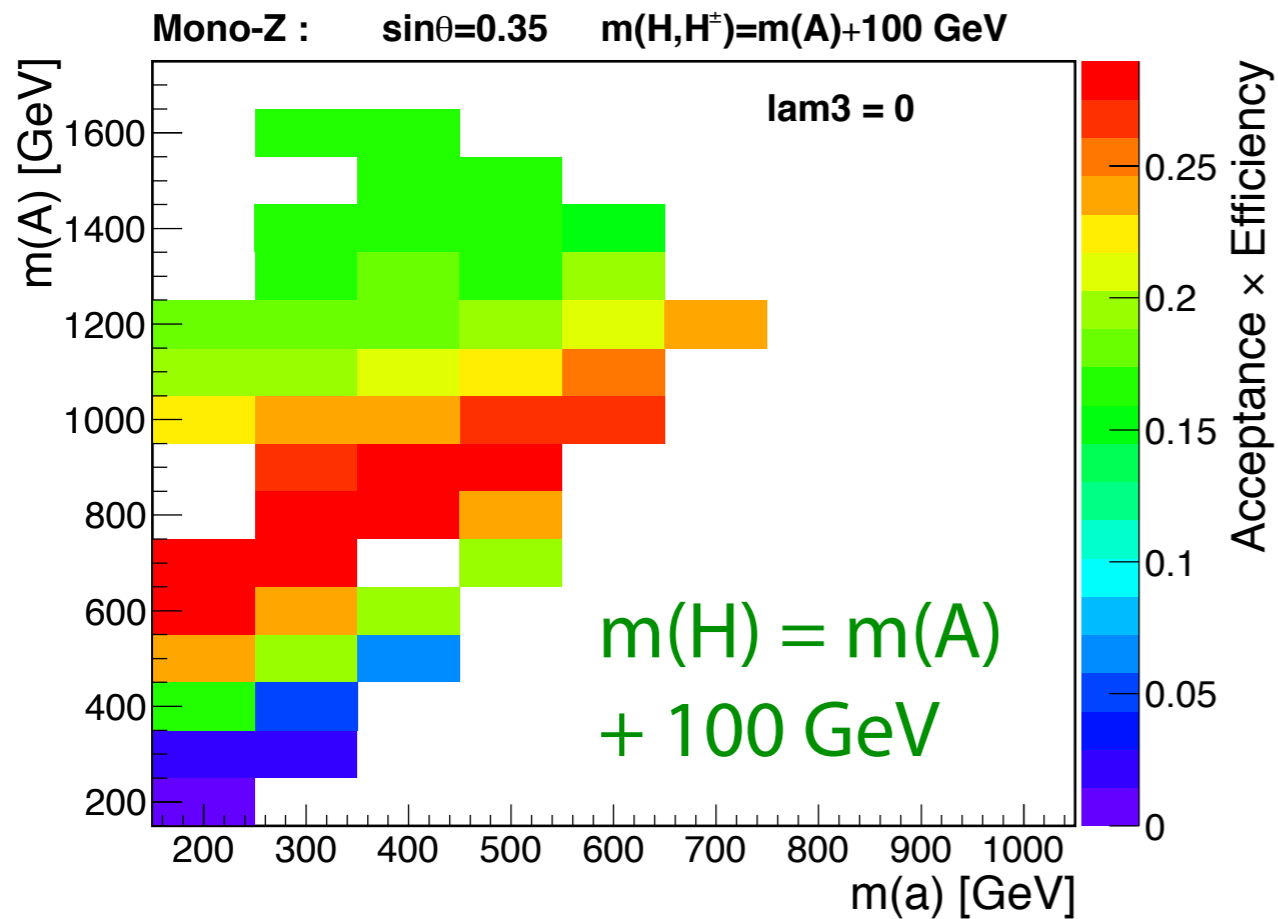
Mono-Z sensitivity at 36 fb⁻¹



$m(H) - m(A)$ Dependence

- Sensitive region for mono-Z is mostly determined by $m(H)$
- Shifted along $m(A)$ when changing $m(H)$ relative to $m(A)$

Mono-Z Acceptance



$m(H) - m(A)$ Dependence

- Acceptance is mostly determined by $\Delta m = m(H) - m(a)$
- Less sensitive to $m(H) - m(A)$
 - Vacuum stability issue becomes less relevant

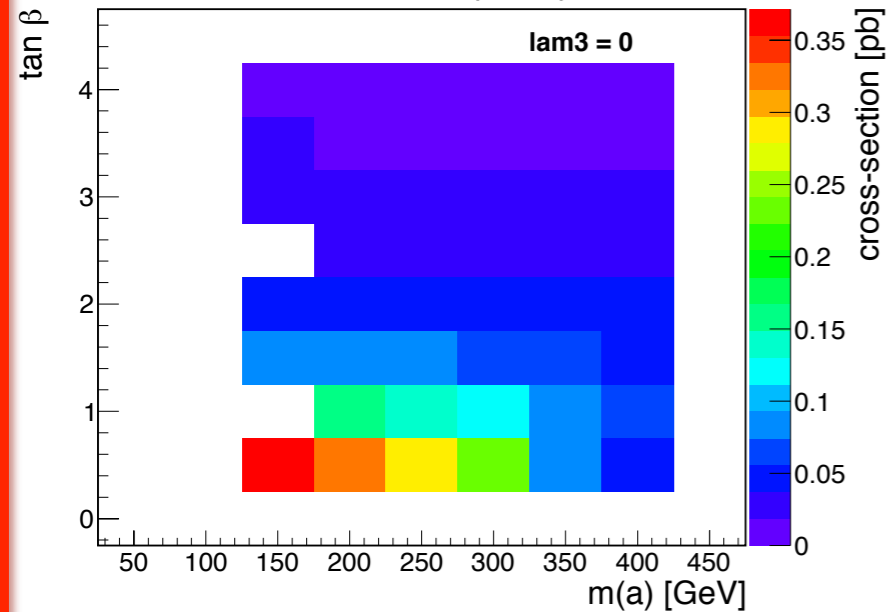
lam3 Parameter Check

m(H) fixed to 750 GeV

lam3=0

m(A)=500GeV

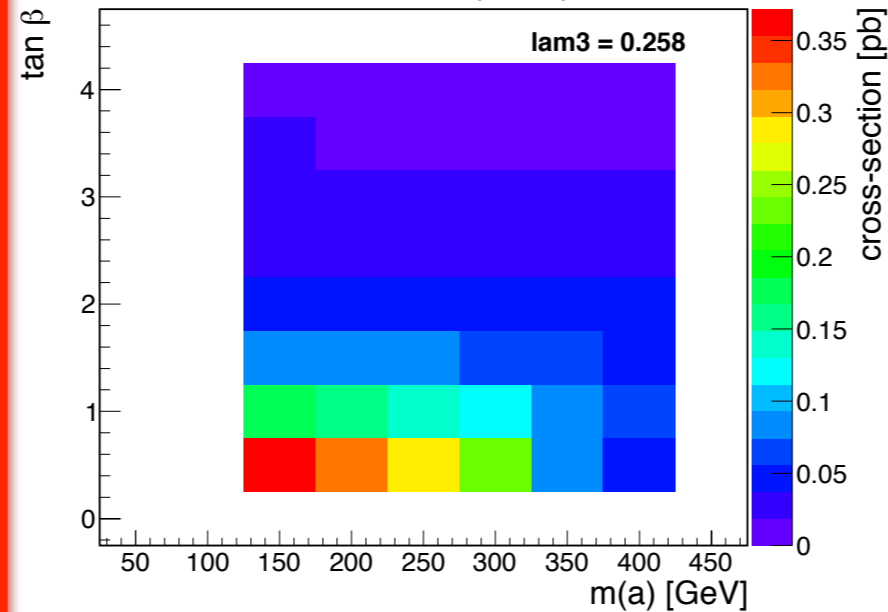
Mono-Z BM#3 : $\sin \theta=1/\sqrt{2}$ m(H,H[±],A)=750,750,500 GeV



lam3=0.258

m(A)=500GeV

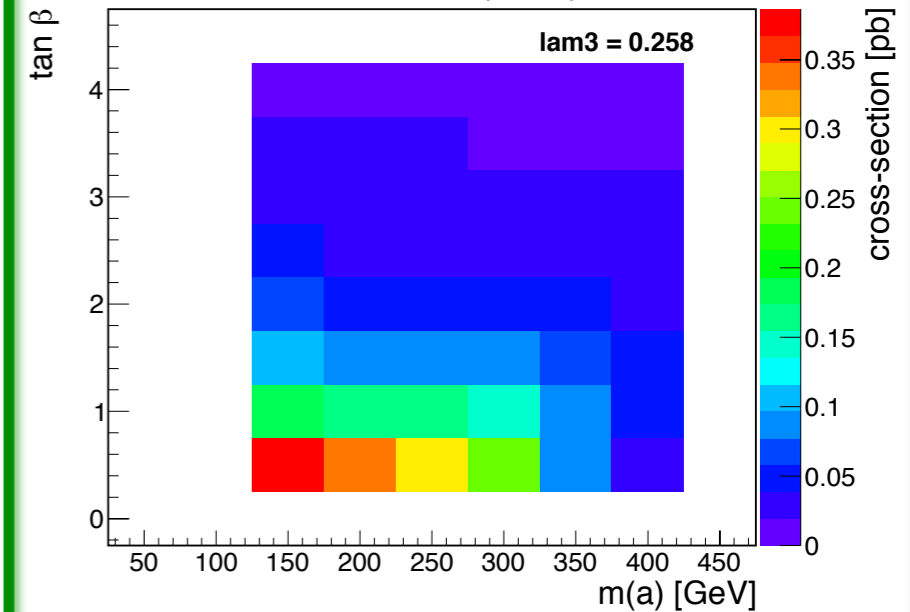
Mono-Z : $\sin \theta=1/\sqrt{2}$ m(H,H[±],A)=750,750,500 GeV



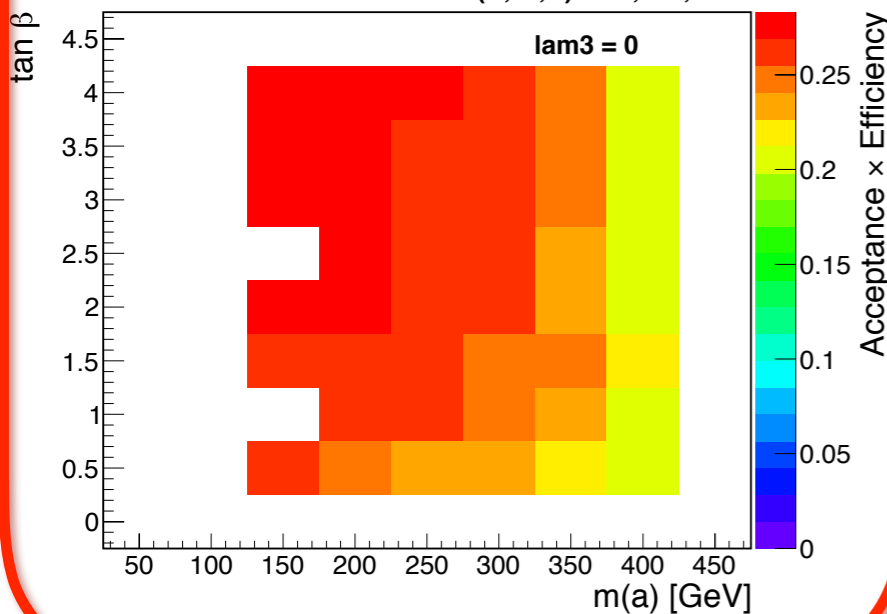
lam3=0.258

m(A)=850GeV

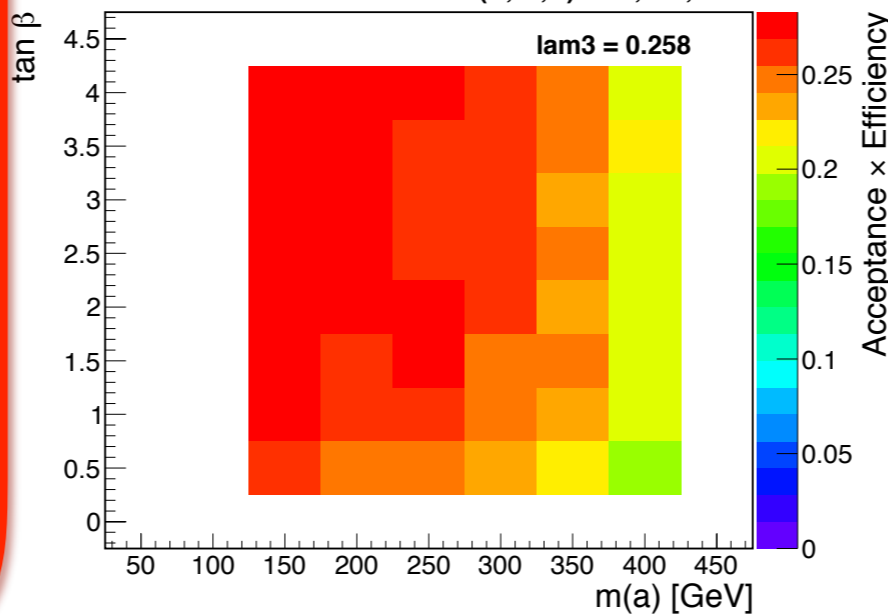
Mono-Z : $\sin \theta=1/\sqrt{2}$ m(H,H[±],A)=750,750,850 GeV



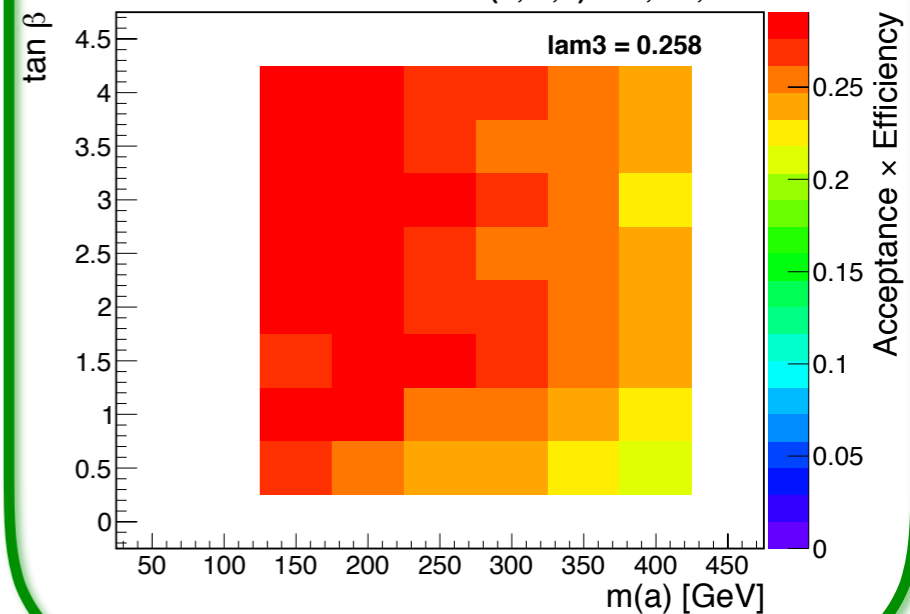
Mono-Z BM#3 : $\sin \theta=1/\sqrt{2}$ m(H,H[±],A)=750,750,500 GeV



Mono-Z : $\sin \theta=1/\sqrt{2}$ m(H,H[±],A)=750,750,500 GeV



Mono-Z : $\sin \theta=1/\sqrt{2}$ m(H,H[±],A)=750,750,850 GeV



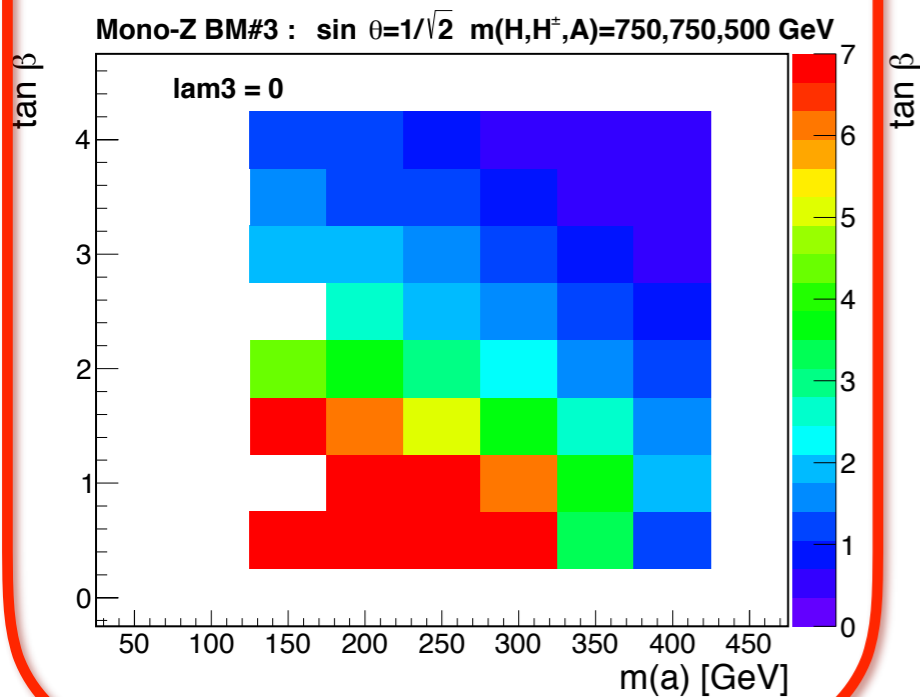
→ Benchmark #3 in paper

→ Recommended setting

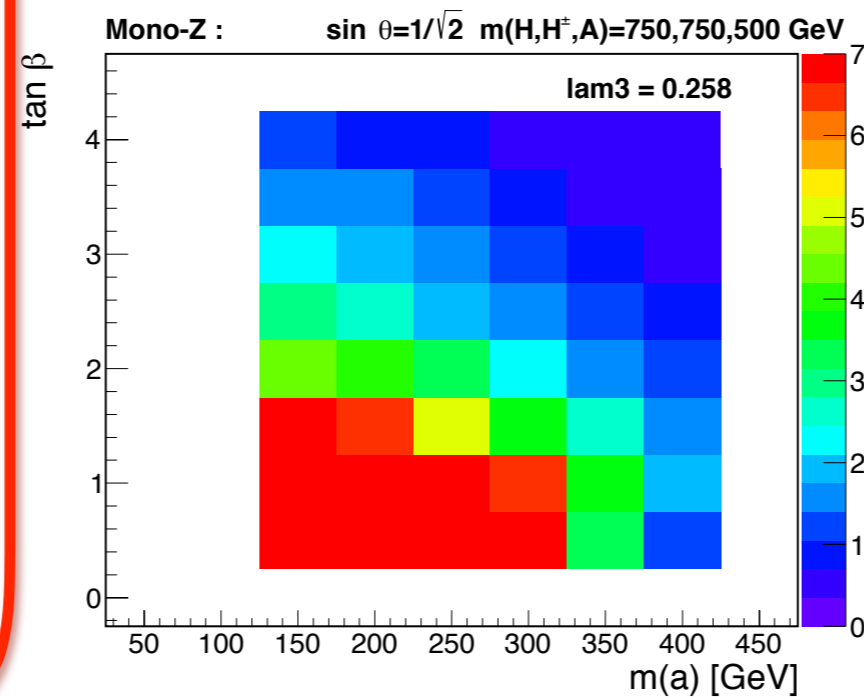
lam3 Parameter Check

$m(H)$ fixed to 750 GeV

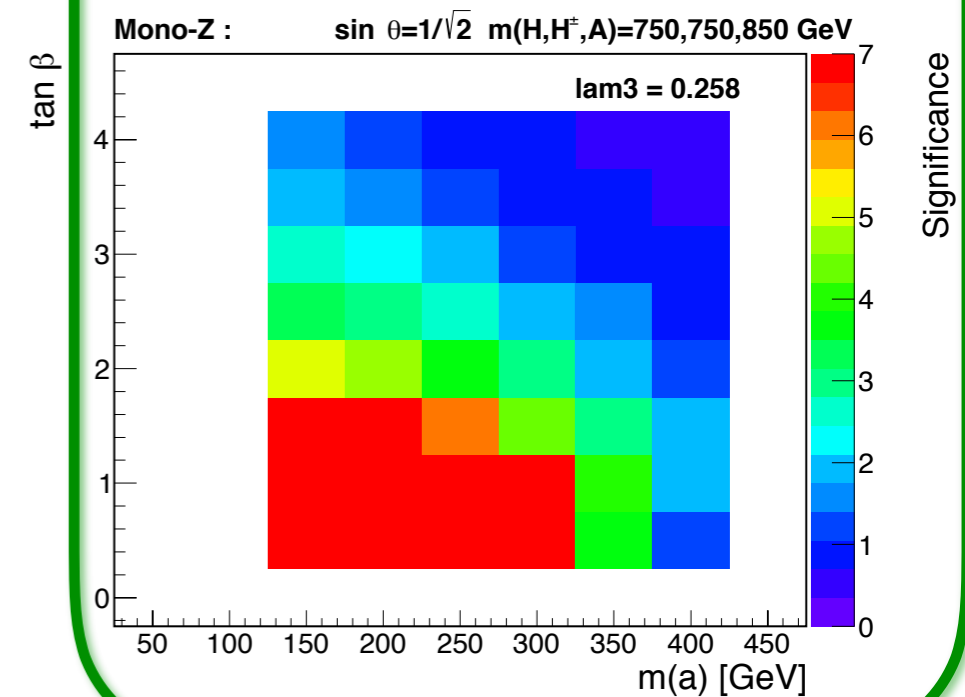
$\text{lam3}=0$
 $m(A)=500\text{GeV}$



$\text{lam3}=0.258$
 $m(A)=500\text{GeV}$



$\text{lam3}=0.258$
 $m(A)=850\text{GeV}$



→ Benchmark #3 in paper

→ Recommended setting

Slightly increased sensitivity with increased cross sections for recommended setting

Mixing Angle Dependence

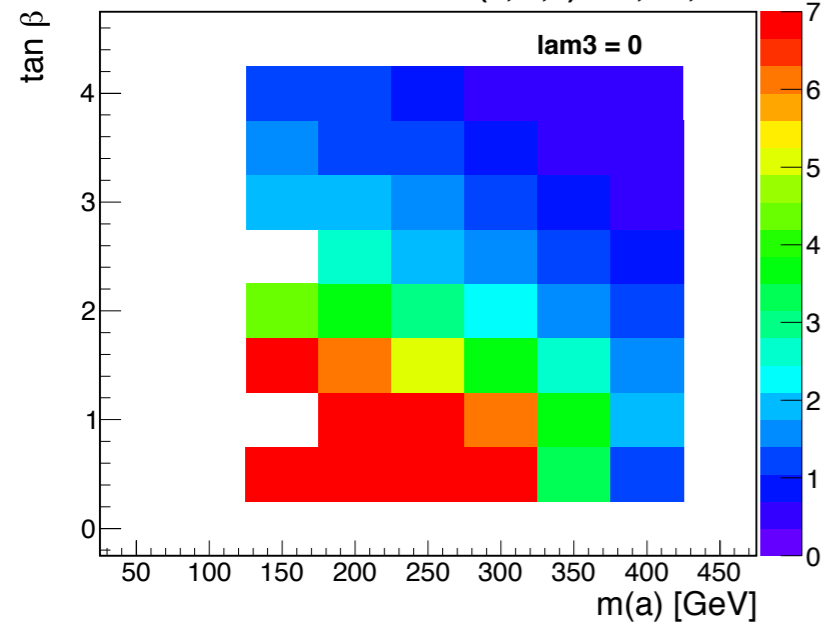
Benchmark #3

► $\tan\beta$ vs $m(a)$ grid

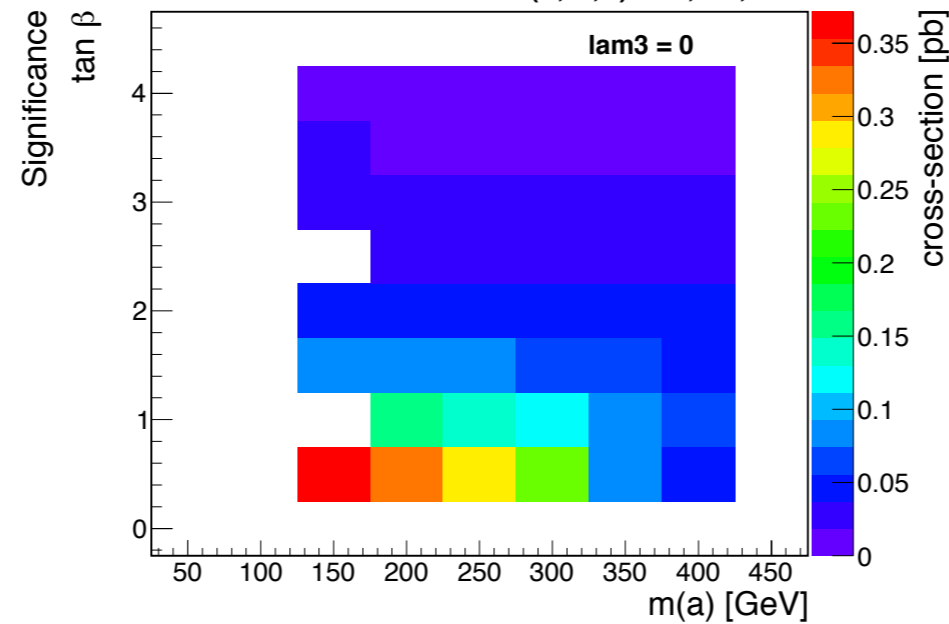
► $m(H)=750$ GeV, $m(A)=500$ GeV

$$\sin\theta = 1/\sqrt{2}$$

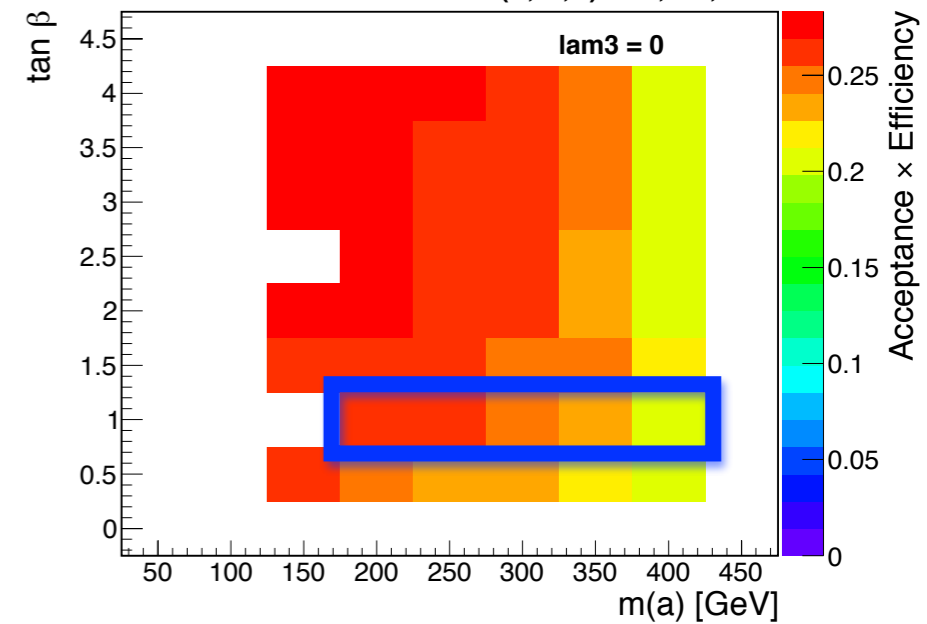
Mono-Z BM#3 : $\sin\theta=1/\sqrt{2}$ $m(H,H^\pm,A)=750,750,500$ GeV



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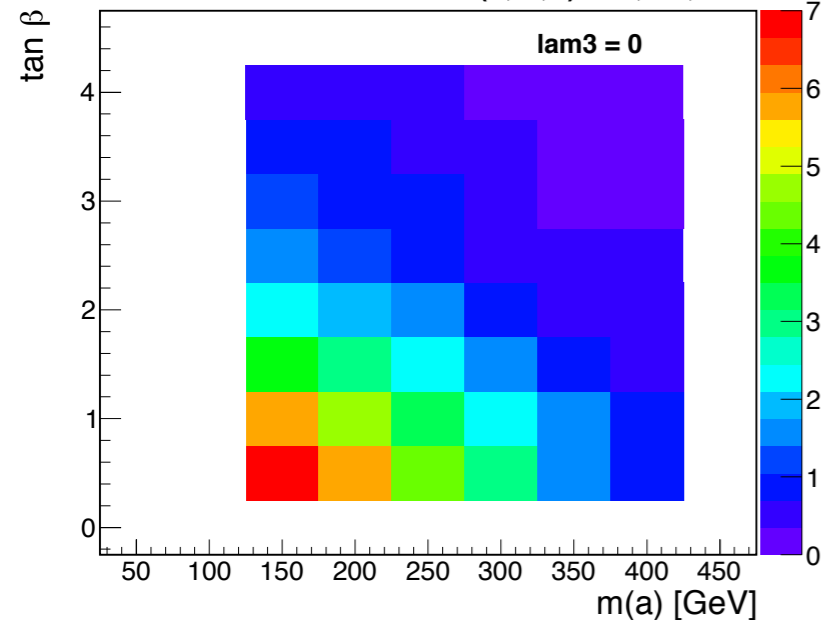


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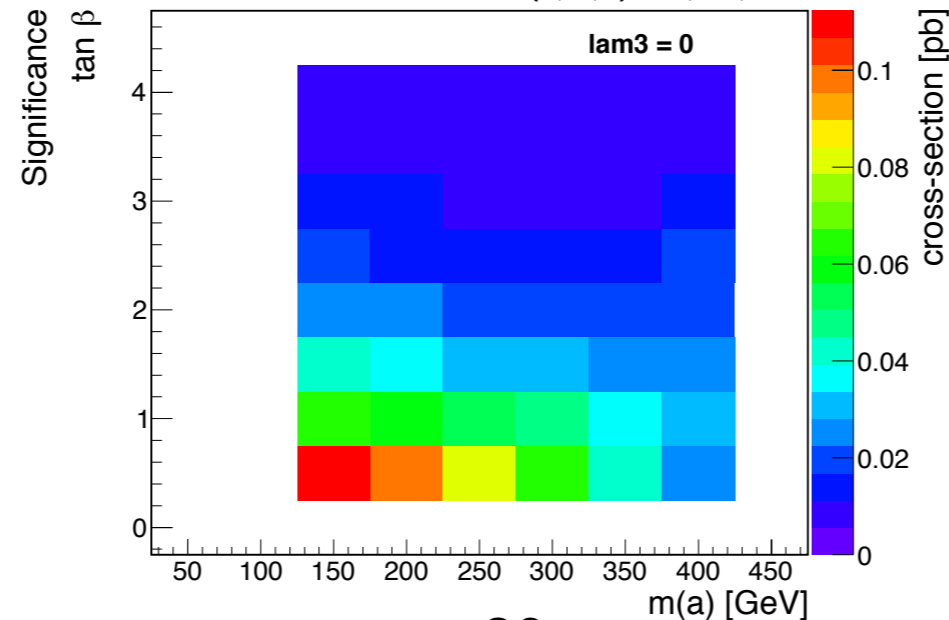


$$\sin\theta = 0.35$$

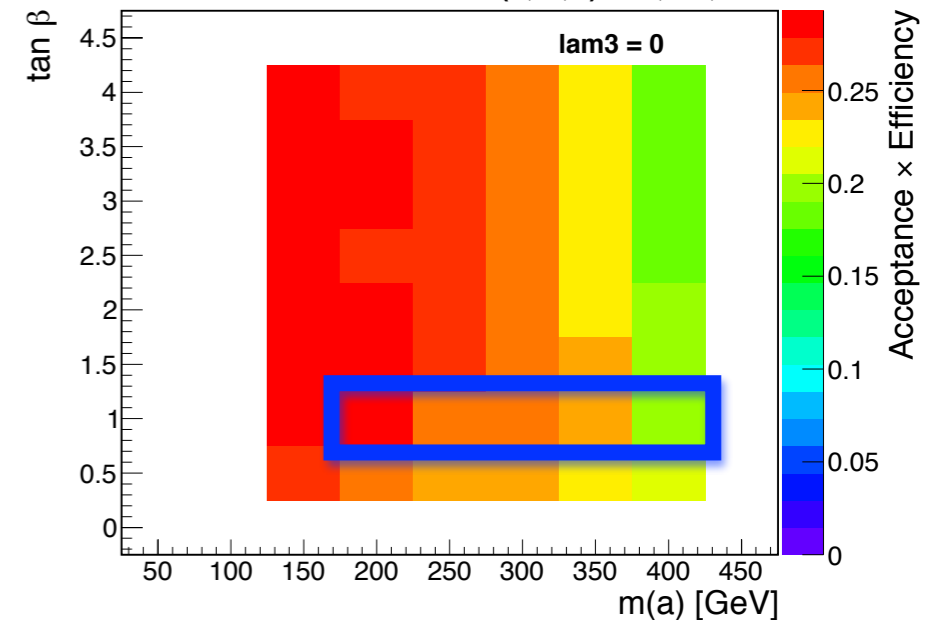
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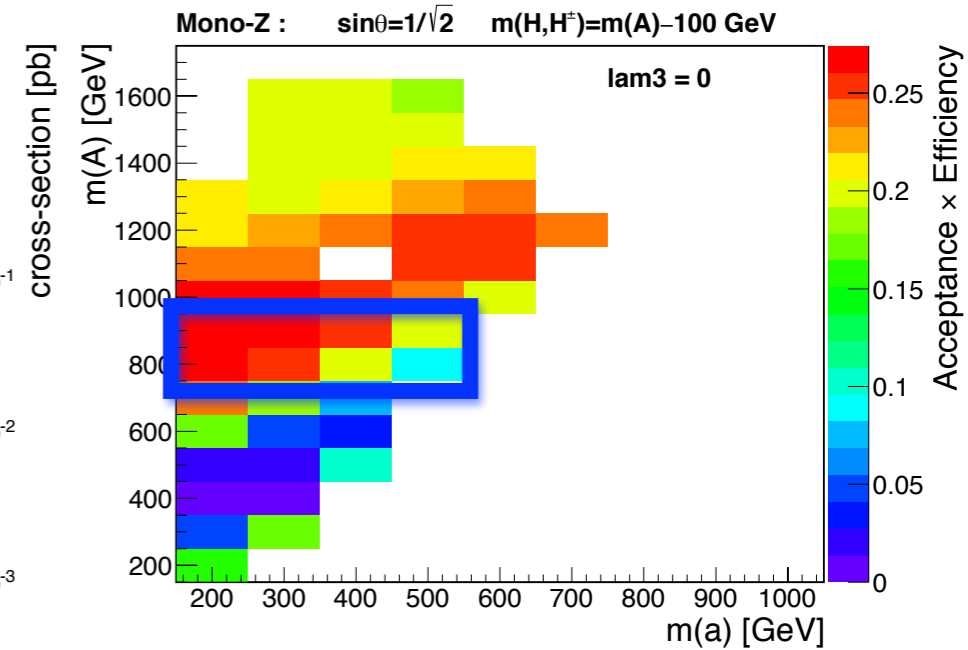
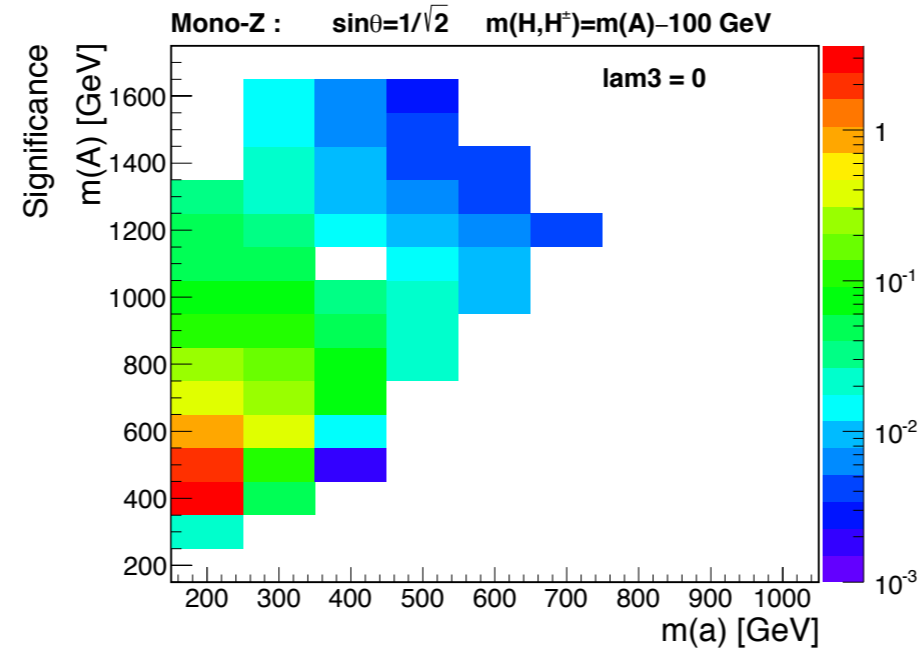
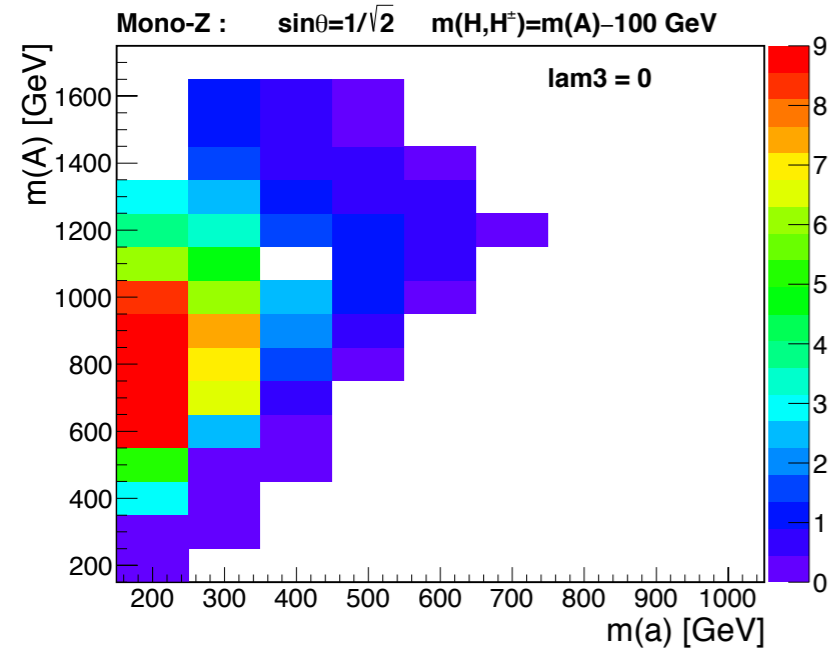
Mono-Z BM#3 : $\sin\theta=0.35$ $m(H,H^\pm,A)=750,750,500$ GeV



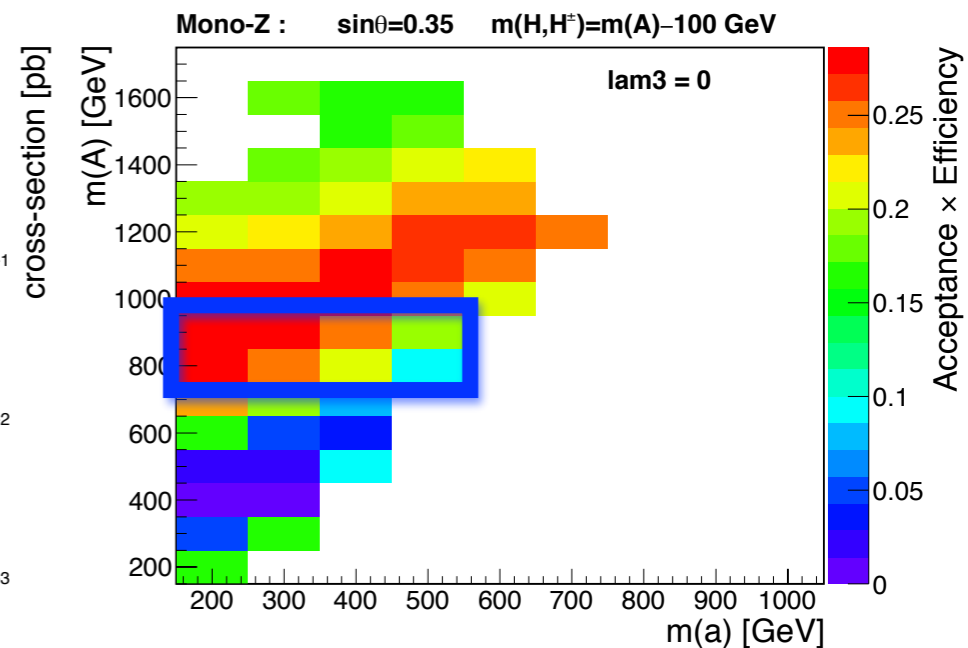
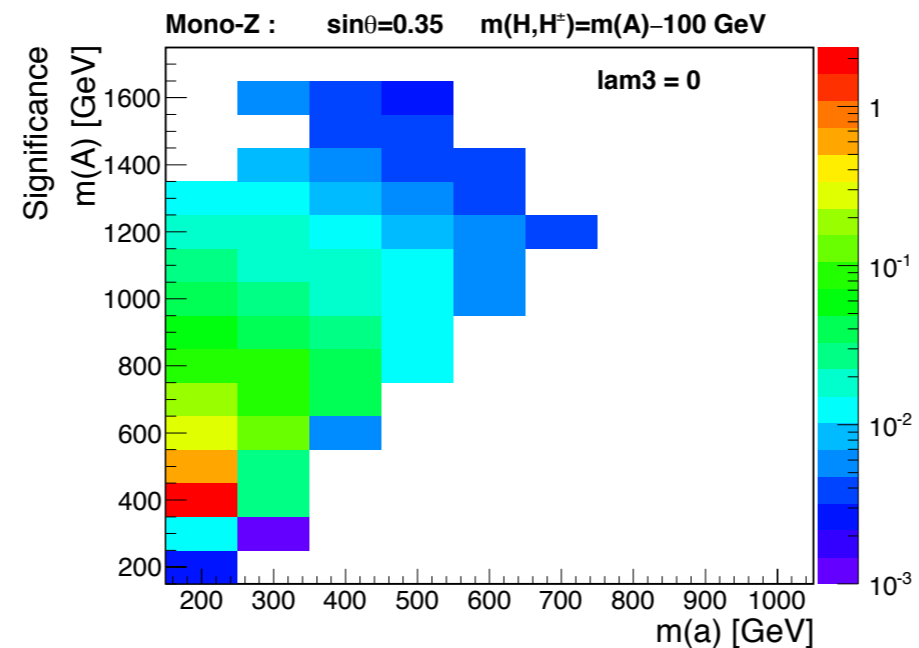
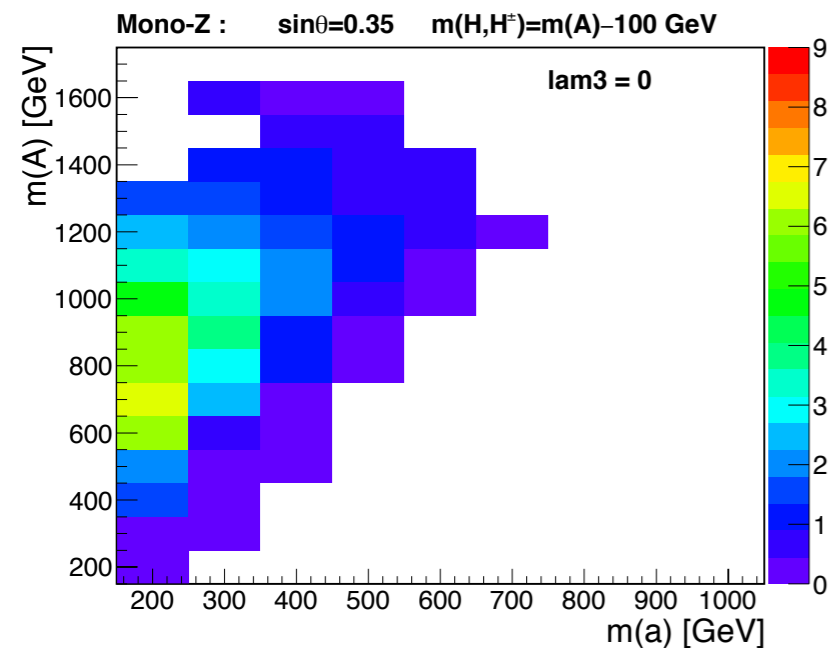
Mixing Angle Dependence

- ▶ $m(A)$ vs $m(a)$ grid
- ▶ $m(H)=m(A)-100$ GeV

$$\sin\theta = 1/\sqrt{2}$$

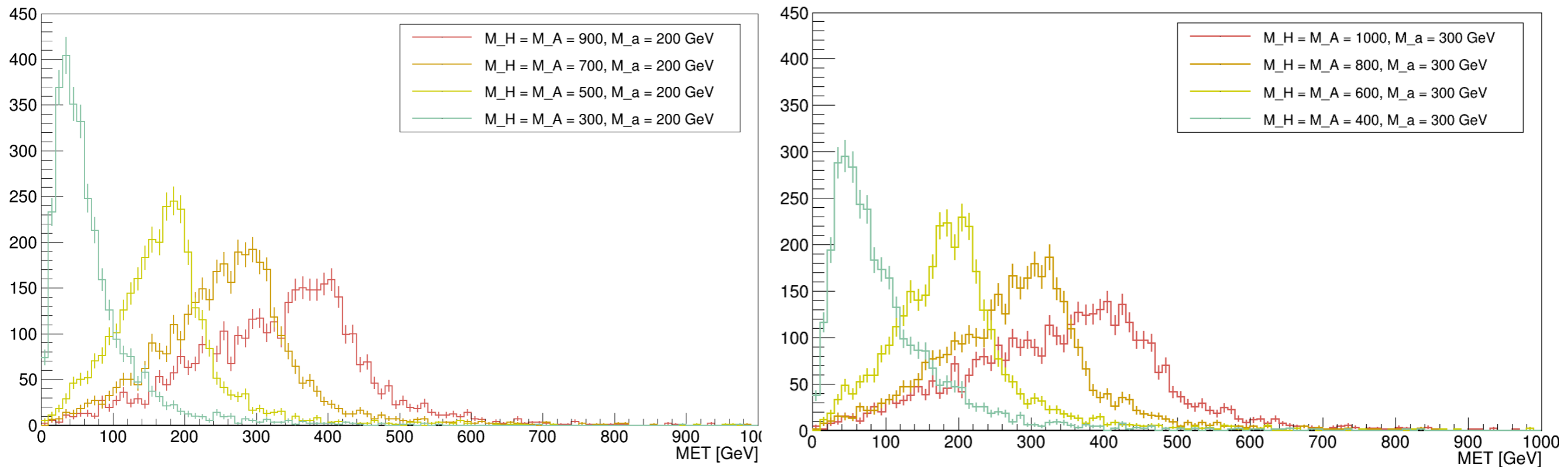


$$\sin\theta = 0.35$$



MET Distribution

MET distribution for the pseudoscalar 2HDM



MET shape and acceptance depends on mainly on **(mH - ma)**:

(mH - ma) = 100, 300, 500, 700 for values of ma = 200 and ma = 300

$$mH = mH_c = mA, \sin(\theta) = 0.35, \tan(\beta) = 1, \text{lam3} = 0.258$$

