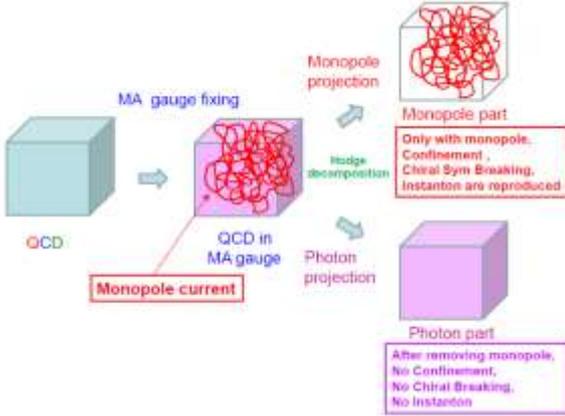


Monopole Dominance of Confinement in SU(3) Lattice QCD

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Abstract: We study monopole dominance of quark confinement for both **quark-antiquark** and **three-quark systems** in SU(3) quenched lattice QCD in the maximally Abelian (MA) gauge at $\beta=5.8$ on $16^3 \times 32$ with **2,000 gauge configurations**.



Schematic figure of QCD in the MA gauge [1-3].

- In the MA gauge, infrared QCD becomes **Abelian-like** [3], and

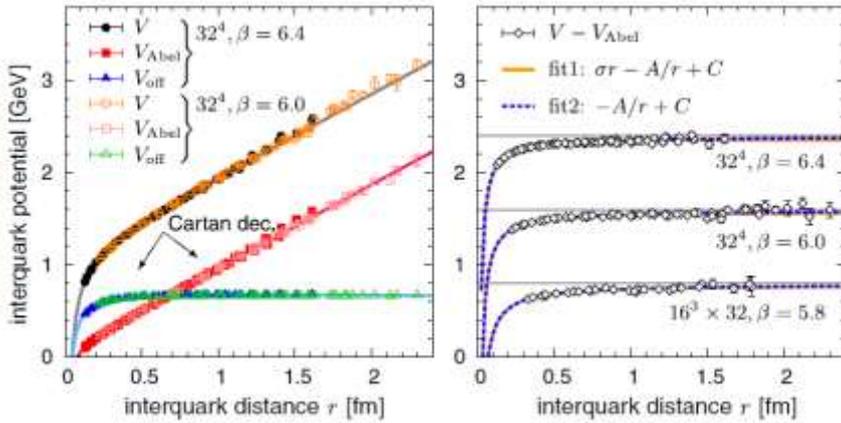
$$\text{the monopole current topologically appears. } (\partial_\mu F^{\mu\nu} = j^\nu, \partial_\mu^* F^{\mu\nu} = k^\nu)$$

- By the Hodge decomposition [2], the Abelian projected QCD can be divided into the **monopole part** and the **photon part**.

$$(\partial_\mu F_{\text{Mo}}^{\mu\nu} = 0, \partial_\mu^* F_{\text{Mo}}^{\mu\nu} = k^\nu, \partial_\mu F_{\text{Ph}}^{\mu\nu} = j^\nu, \partial_\mu^* F_{\text{Ph}}^{\mu\nu} = 0)$$

- The monopole part has **confinement, chiral symmetry breaking** and **instantons**, while the photon part does not have all of them.

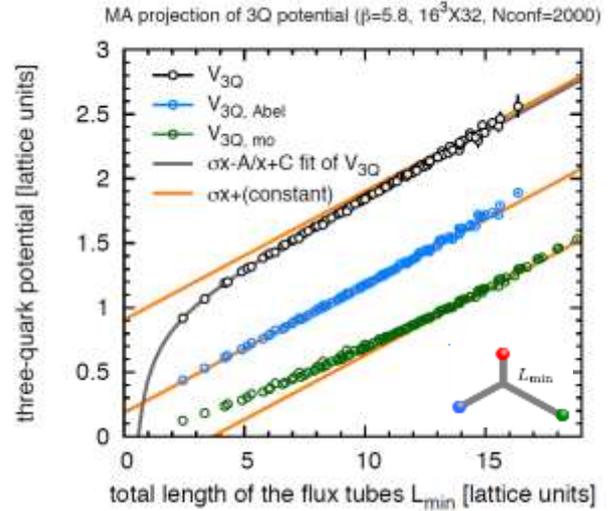
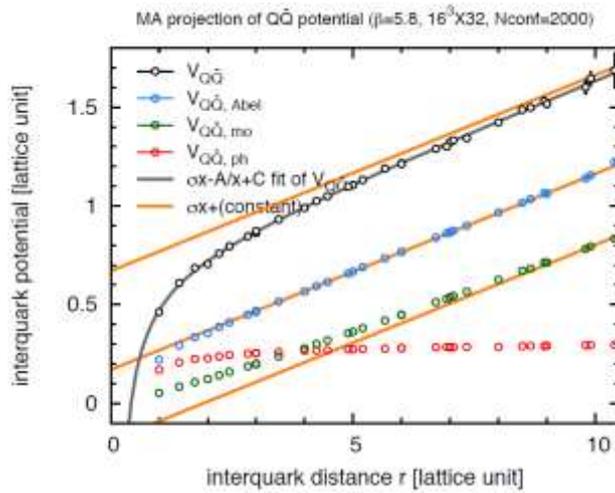
(a) Cartan decomposition of QQ potential (b) perfect Abelian dominance



Cartan decomposition and **Perfect Abelian Dominance** for quark confinement in the MA gauge [3].

Left: The **quark-antiquark potential** $V(r)$, the **Abelian part** $V_{\text{Abel}}(r)$, and the **off-diagonal part** $V_{\text{off}}(r)$.

Right: The difference $V(r) - V_{\text{Abel}}(r)$ can be well fitted with pure Coulomb potential. The absence of linear-potential component in $V(r) - V_{\text{Abel}}(r)$ indicates perfect Abelian dominance of quark confinement [3].



Left: The static quark-antiquark potential in SU(3) QCD, Abelian-projected QCD, monopole part, and photon part [3].

Right: The three-quark potential in SU(3) QCD, Abelian-projected QCD, and the monopole part [3].

-The (almost) perfect Abelian dominance $\sigma_{\text{Abel}} = \sigma$ is found in both quark-antiquark and three-quark systems [3]

-The monopole dominance is found as $\sigma_{\text{Mo}} = 0.92\sigma$ in both quark-antiquark and three-quark systems [3].

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