

Stealth bosons and where to find them

J.A. Aguilar-Saavedra

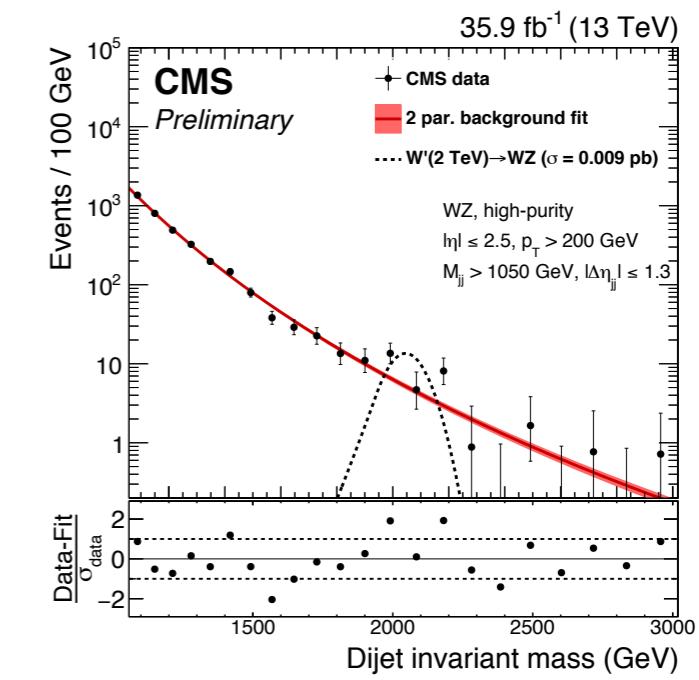
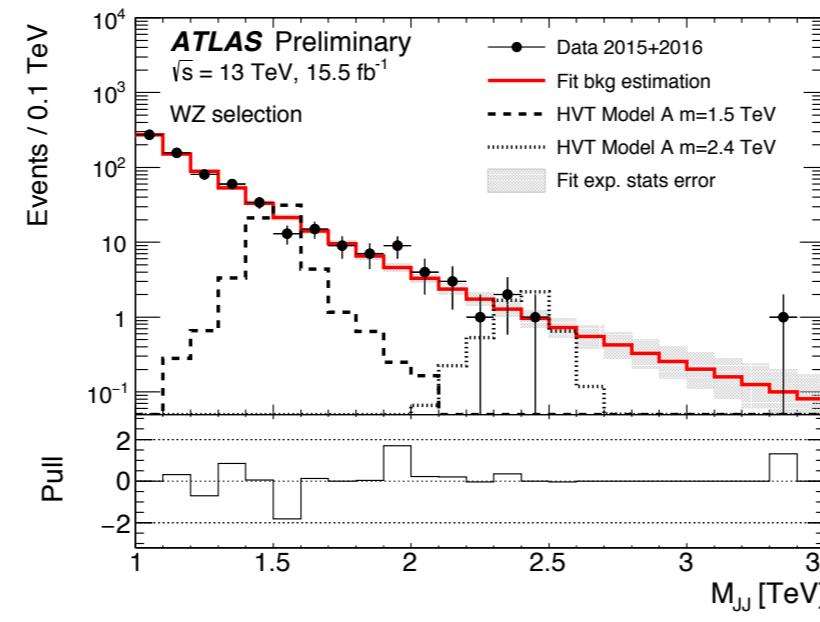
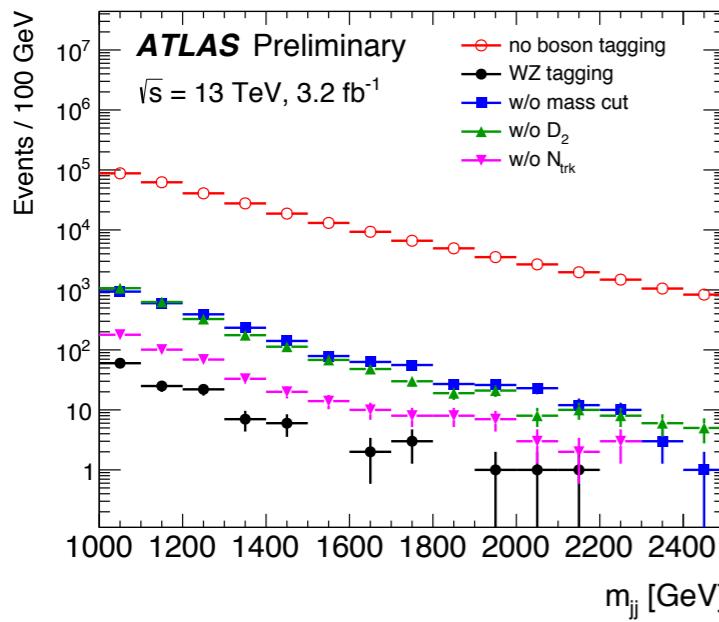
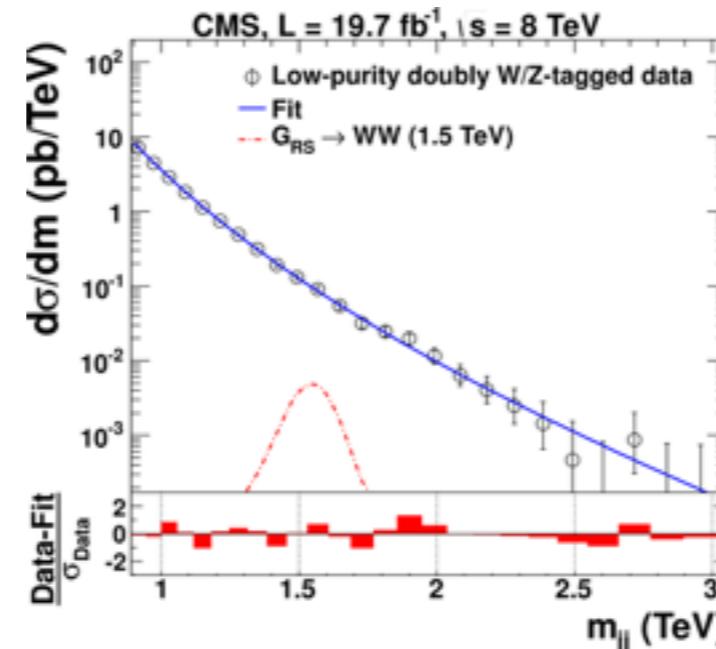
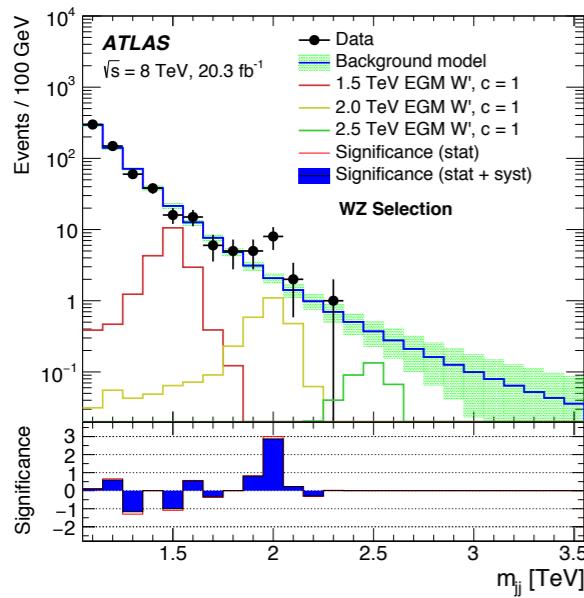
University of Granada

BOOST 2018, July 18th 2018

Motivation for all this stuff

Several little bumps near 2 TeV in hadronic diboson resonance searches

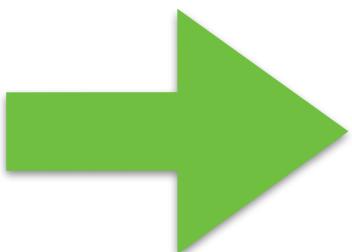
Obviously not diboson → think of something else, more elusive



Why dibosons? [\equiv diboson resonances]

- New W' bosons can have decays $W' \rightarrow WZ$ with branching ratios at the percent level
- New neutral scalars H_1^0 can also decay to WW or ZZ , e.g. in composite Higgs models, ... RS gravitons, ... [lots of variants]

Nice and clean leptonic signals of these particles may well not exist.

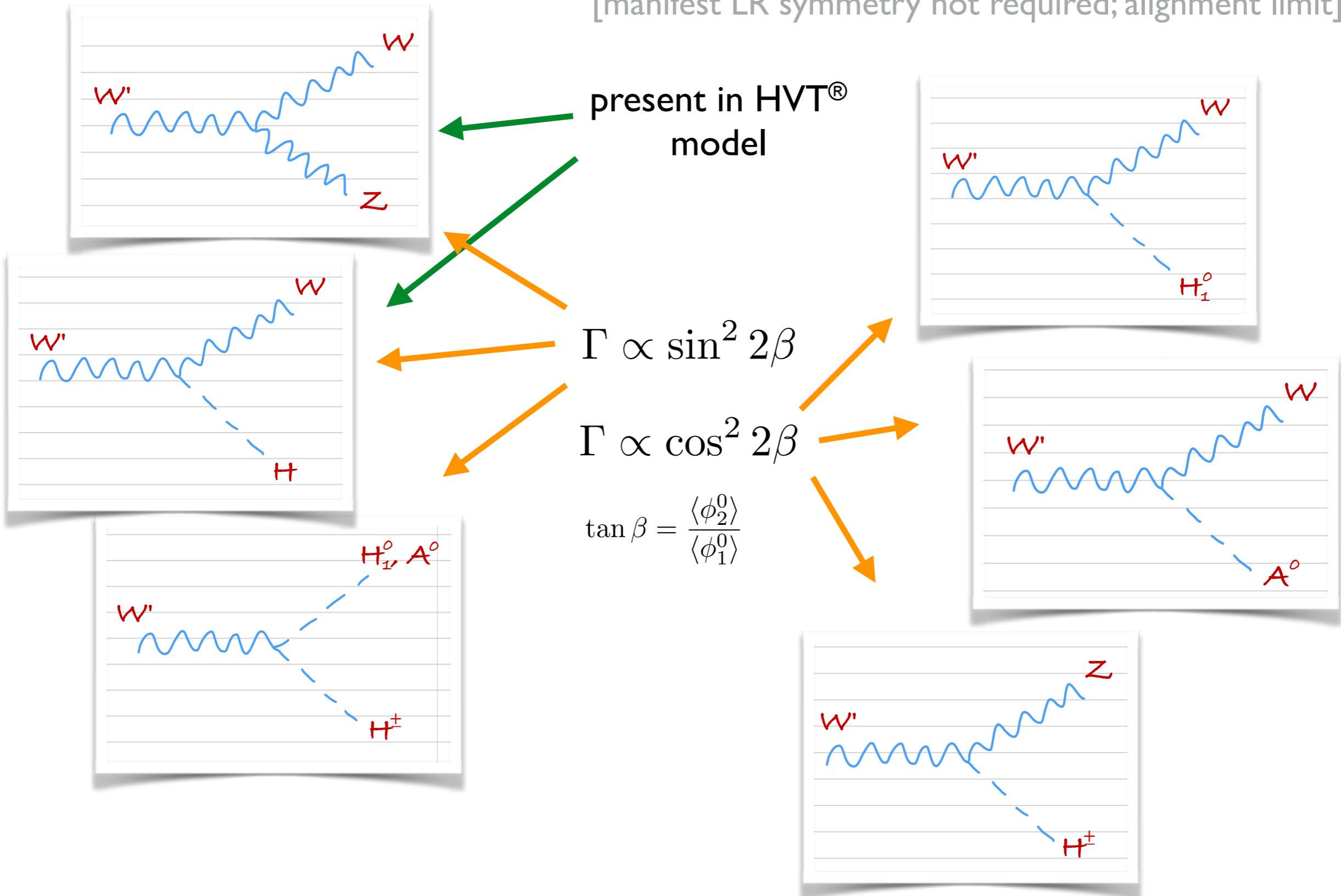


extensive program for diboson searches at LHC mainly using a simplified model: Heavy Vector Triplet, a.k.a. HVT®

Simplified model confronts real model

take as example: left-right models

[manifest LR symmetry not required; alignment limit]



Reminder: we **need** an extended scalar sector anyway to give masses to the vector bosons! [several multiplets in LR model]

The heavy scalars will decay to lighter bosons, if kinematically allowed:

$$\Gamma(H_1^0 \rightarrow ZA^0) \propto M_{H_1^0}^3/M_Z^2$$

$$\Gamma(H_1^0 \rightarrow f\bar{f}) \propto M_{H_1^0}$$

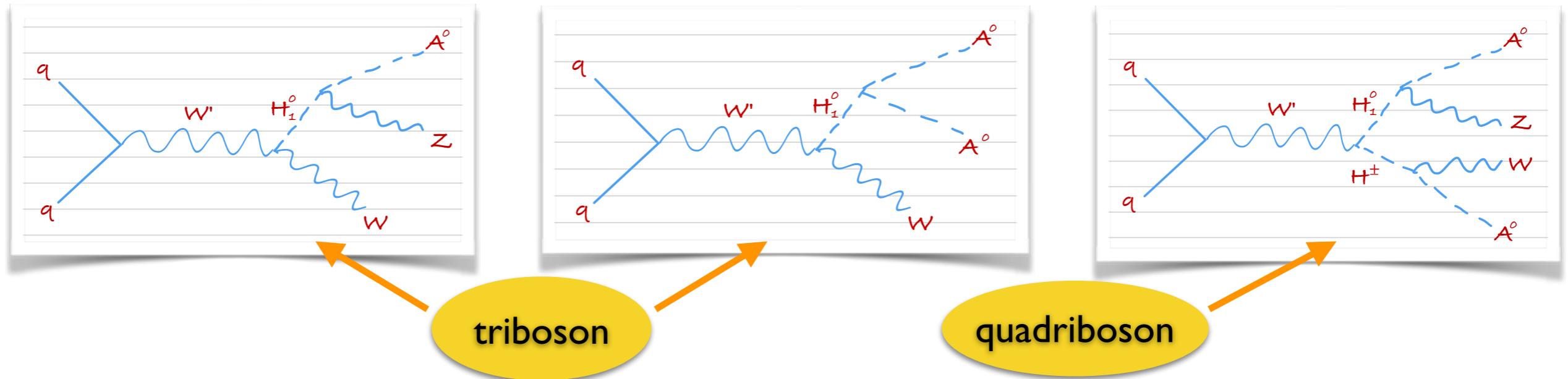
$$\Gamma(H^\pm \rightarrow W^\pm A^0) \propto M_{H^\pm}^3/M_W^2$$

$$\Gamma(H^\pm \rightarrow f\bar{f}) \propto M_{H^\pm}$$

Therefore, as soon as we have a heavy resonance (W' , Z') decaying into heavy scalars, we **will naturally have multiboson signals** from cascade decays.

Example: $M(H_1^0) \sim M(H^\pm)$ and A^0 lighter

JAAS, Joaquim 1512.00396
see also: Dobrescu, Fox 1511.02148

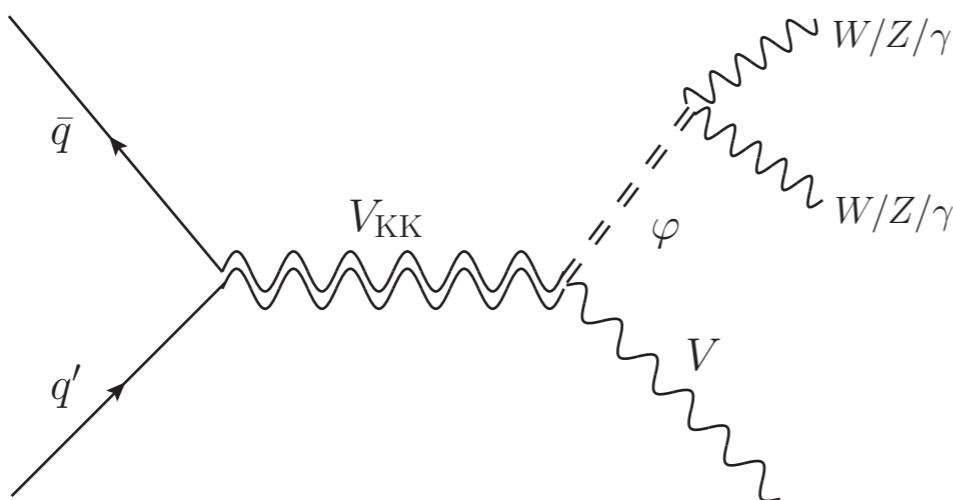


Further examples of multiboson signals:

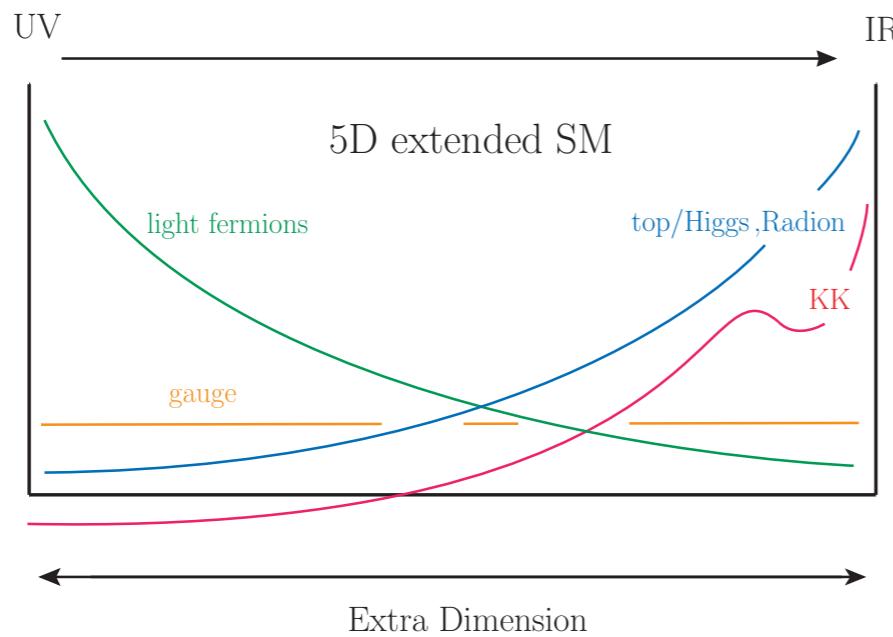
► Next-to-minimal extra-dimensional models

Agashe et al. 1711.09920

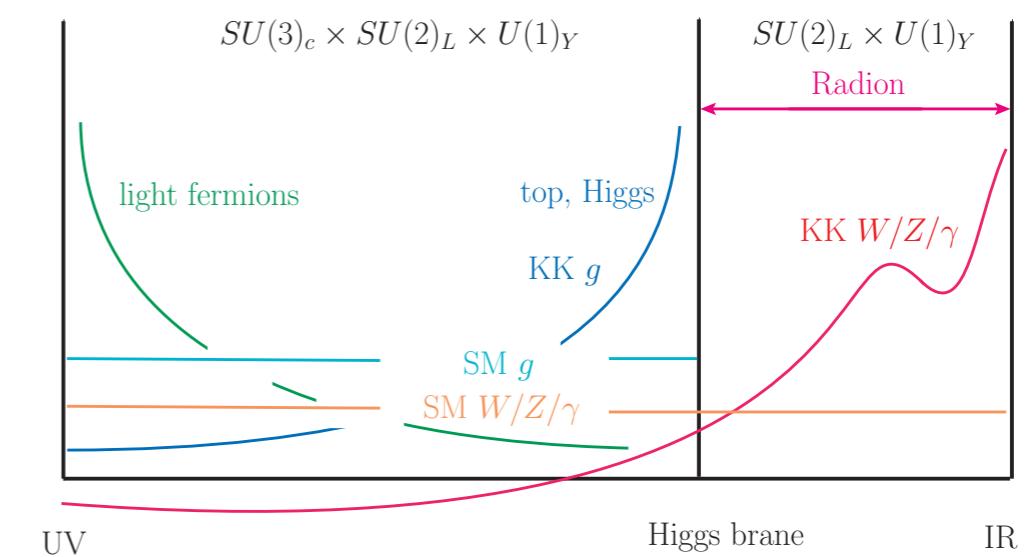
Agashe et al. 1612.00047



standard setup



next-to-minimal



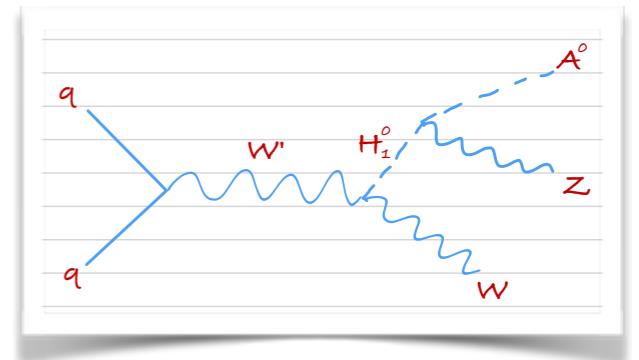
Further examples of multiboson signals:

- ▶ Cascade decay of heavy scalars in SUSY Fidalgo et al. 1107.4614
Ellwanger et al. 1707.08522
- ▶ Any model you imagine with extra gauge bosons and/or extra scalars
 - Z' + extra Higgs $SU(2)_L$ doublet
 - Z' + scalar $SU(2)_L$ singlet (?)
 - ... and more models we don't yet imagine!

I am **NOT** claiming that any of these models is the answer. Rather, I insist that these signatures are **well-motivated** and **uncovered**, and must be searched for.

Case I: Resolved triboson

Two SM bosons plus some extra particle

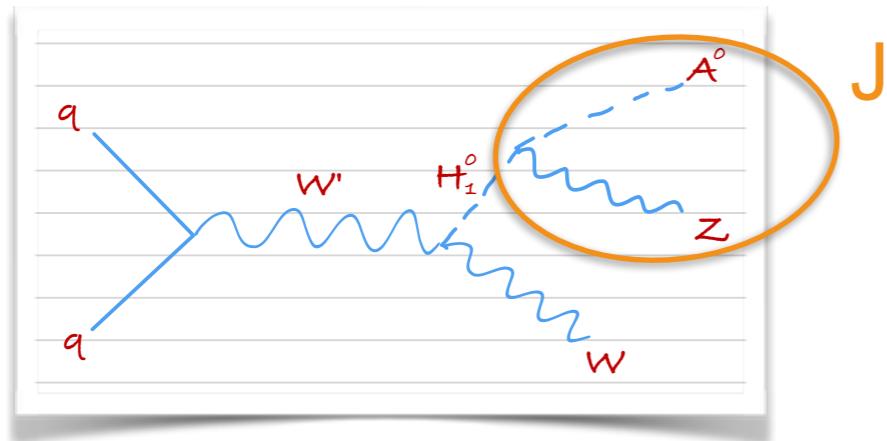


- ▶ The sensitivity of diboson searches to this type of signals depends on how tight the requirement of *only two objects* present is.
- ▶ It turns out that in semileptonic searches [leptonic object + jet J] this requirement is quite tight, e.g.
 - leptonic object and jet J back-to-back
 - leptonic object free from any nearby *contamination*
 - anti-*b*-tagging
- ▶ In fully hadronic searches there are other difficulties...

Multiboson signatures

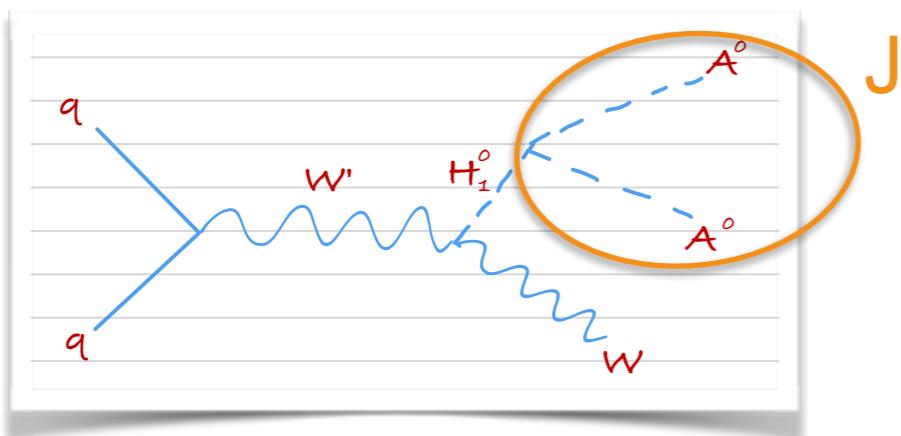
Case II: Merged multibosons

If intermediate particles are ‘light’, their decay products are merged



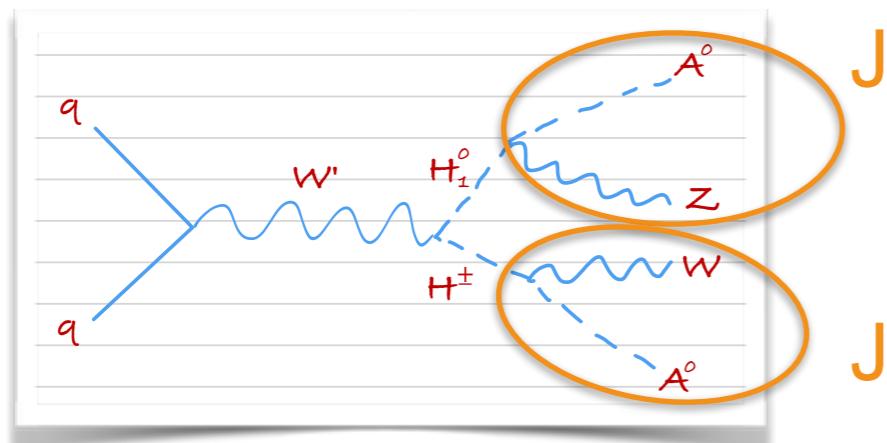
$$M_{W'} \gg M_{H_1^0} \gtrsim M_Z + M_{A^0}$$
$$Z \rightarrow qq / \dots$$
$$A^0 \rightarrow bb$$

\longrightarrow **$W + \text{fat jet } J$**



$$M_{W'} \gg M_{H_1^0} \gtrsim 2M_{A^0}$$
$$A^0 \rightarrow bb$$

\longrightarrow **$W + \text{fat jet } J$**



$$M_{W'} \gg M_{H_1^0}, M_{H^\pm} \gtrsim M_Z + M_{A^0}$$
$$W, Z \rightarrow qq / \dots$$
$$A^0 \rightarrow bb$$

\longrightarrow **$\text{two fat jets } J$**

When a very boosted particle S undergoes a cascade decay into several coloured particles, e.g.

$$S \rightarrow \dots \rightarrow qqqq^J$$

it produces a multi-pronged fat jet J . All the heavy scalar decays in previous slide can be of such type

$$H_1^0 \rightarrow A^0 A^0$$

$$A^0 \rightarrow b\bar{b}$$

$$H_1^0 \rightarrow Z A^0$$

$$Z \rightarrow q\bar{q}, A^0 \rightarrow b\bar{b}$$

$$H^\pm \rightarrow W^\pm A^0$$

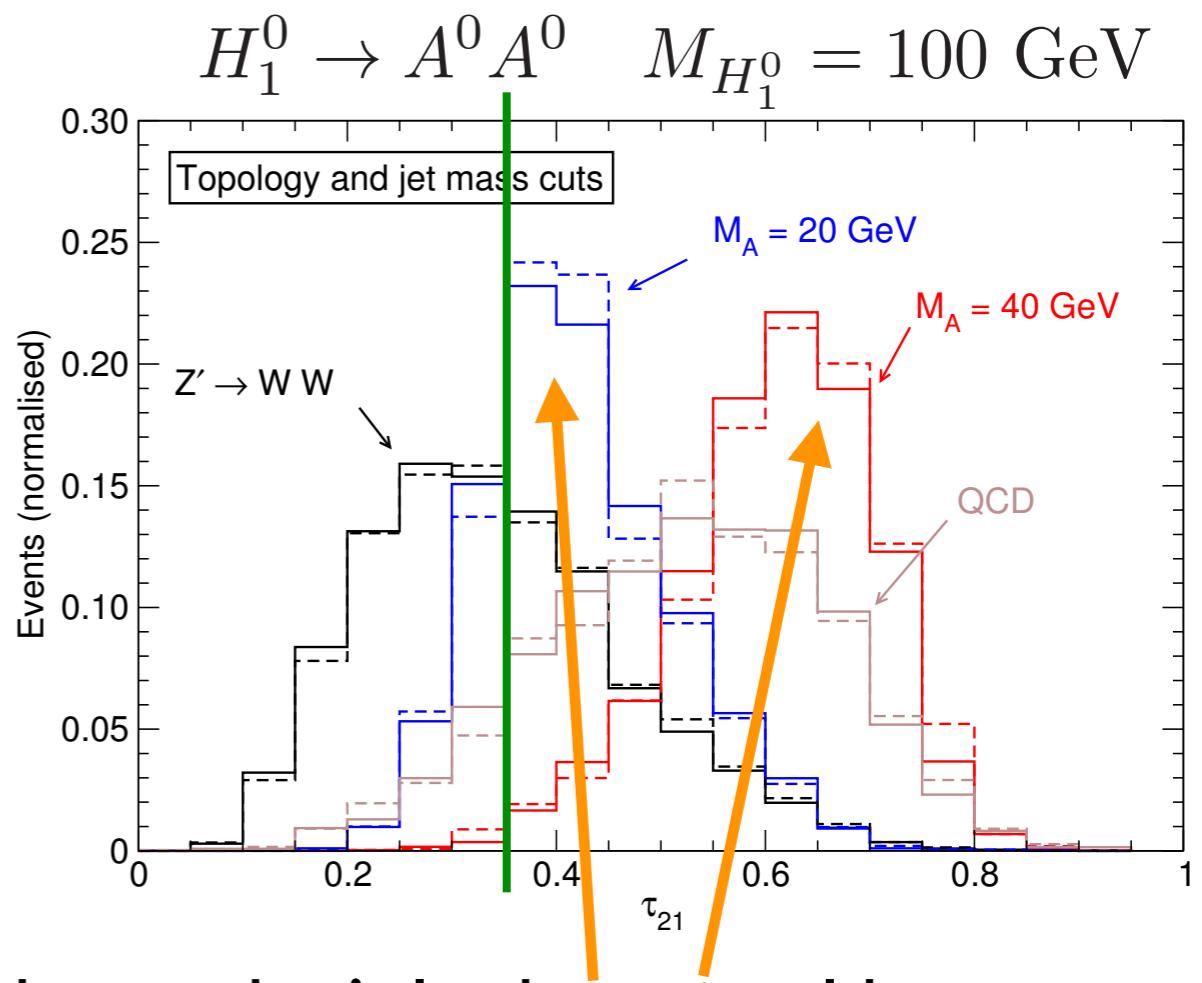
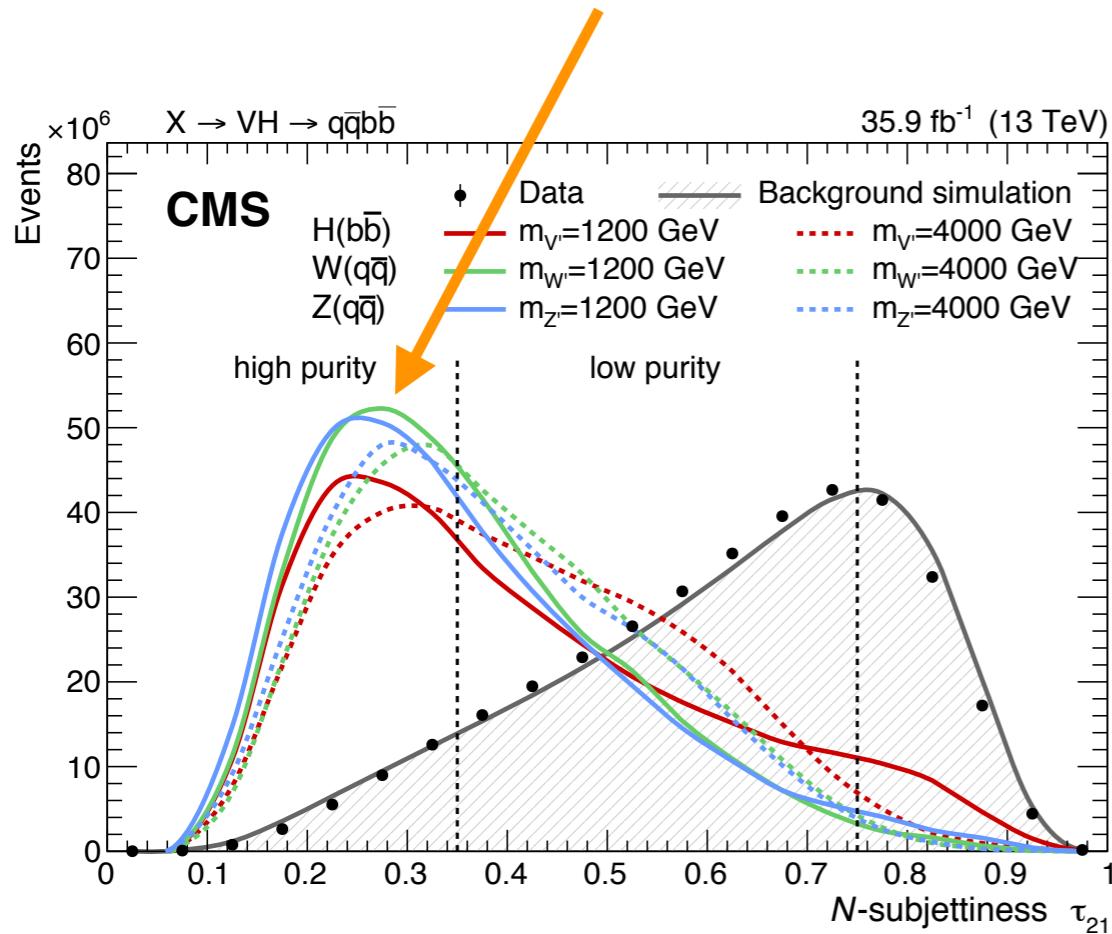
$$W \rightarrow q\bar{q}, A^0 \rightarrow b\bar{b}$$

And these scalars will be very boosted if they are produced in the decay of a much heavier resonance Z' / W' / ...

Why I call them *stealth*?

Jet substructure

Standard diboson searches require that fat jets J look like they have two prongs by using some jet substructure variable, e.g. τ_{21} Thaler, Van Tilburg 1011.2268

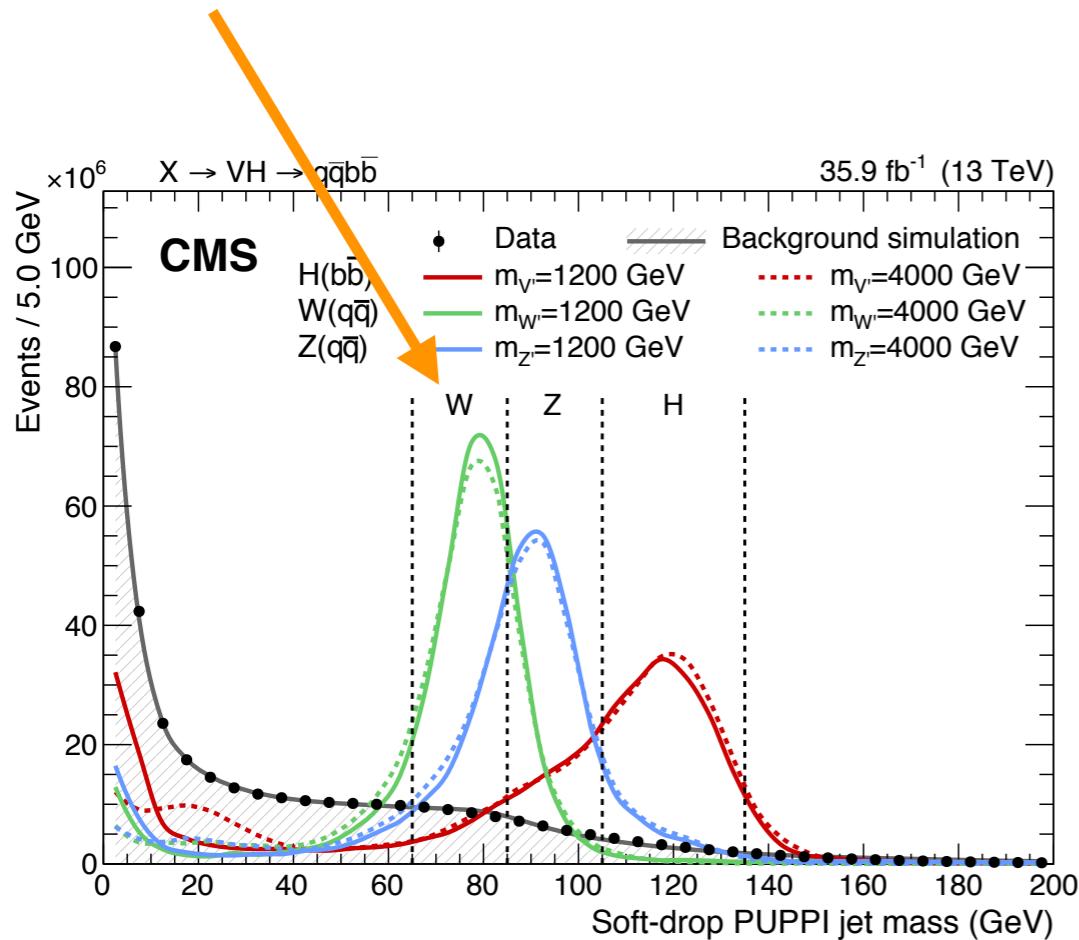


But stealth bosons with four-pronged decays don't look as signal but as background - ungroomed τ_{21} as often used by CMS

This feature may explain 'inconsistent' size of excesses if signal is a bit background-like — see later!

Jet mass

Several grooming algorithms exist in the market, which work well to recover the mass of W, Z, H bosons from their hadronic decay ...



Trimming, pruning, soft drop...

Butterworth et al 0802.2470
Krohn, Thaler, Wang 0912.1342
Ellis, Vermilion, Walsh 0912.0033
Larkoski et al. 1402.2657

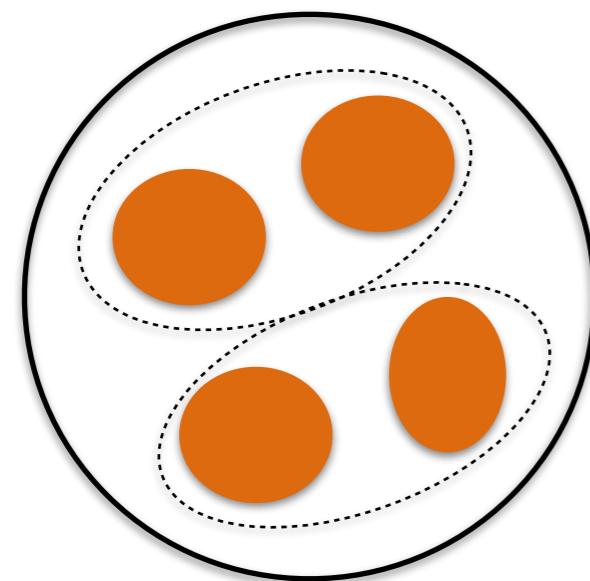
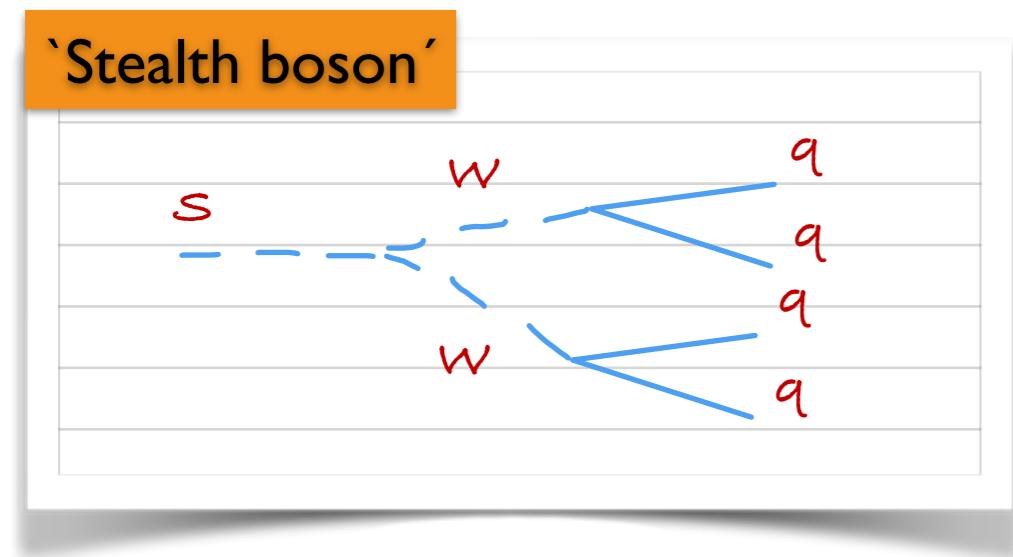
... don't work so well for stealth
bosons!

[recursive soft drop not checked]

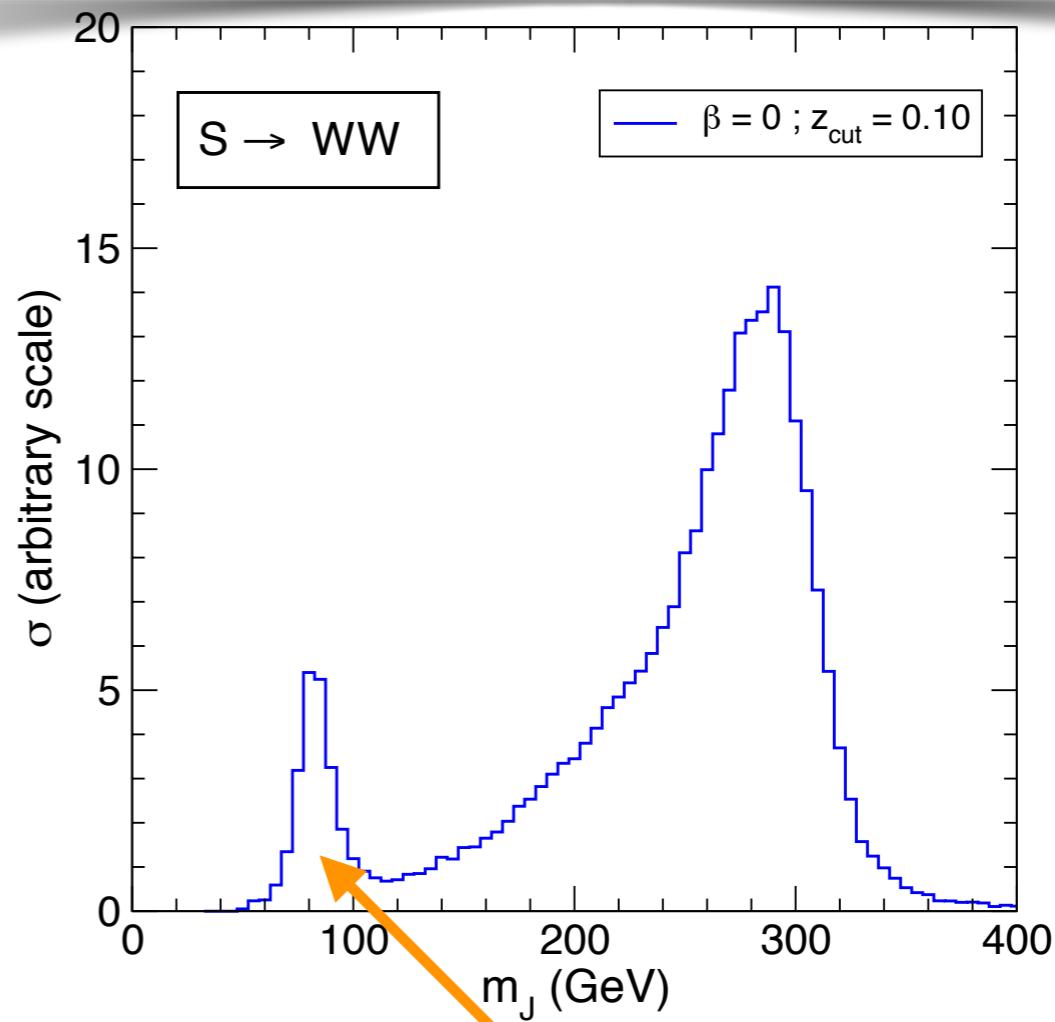
Running bumps!

A four-pronged signal looks weird in standard analyses looking for two-pronged signals

JAAS 1801.08129

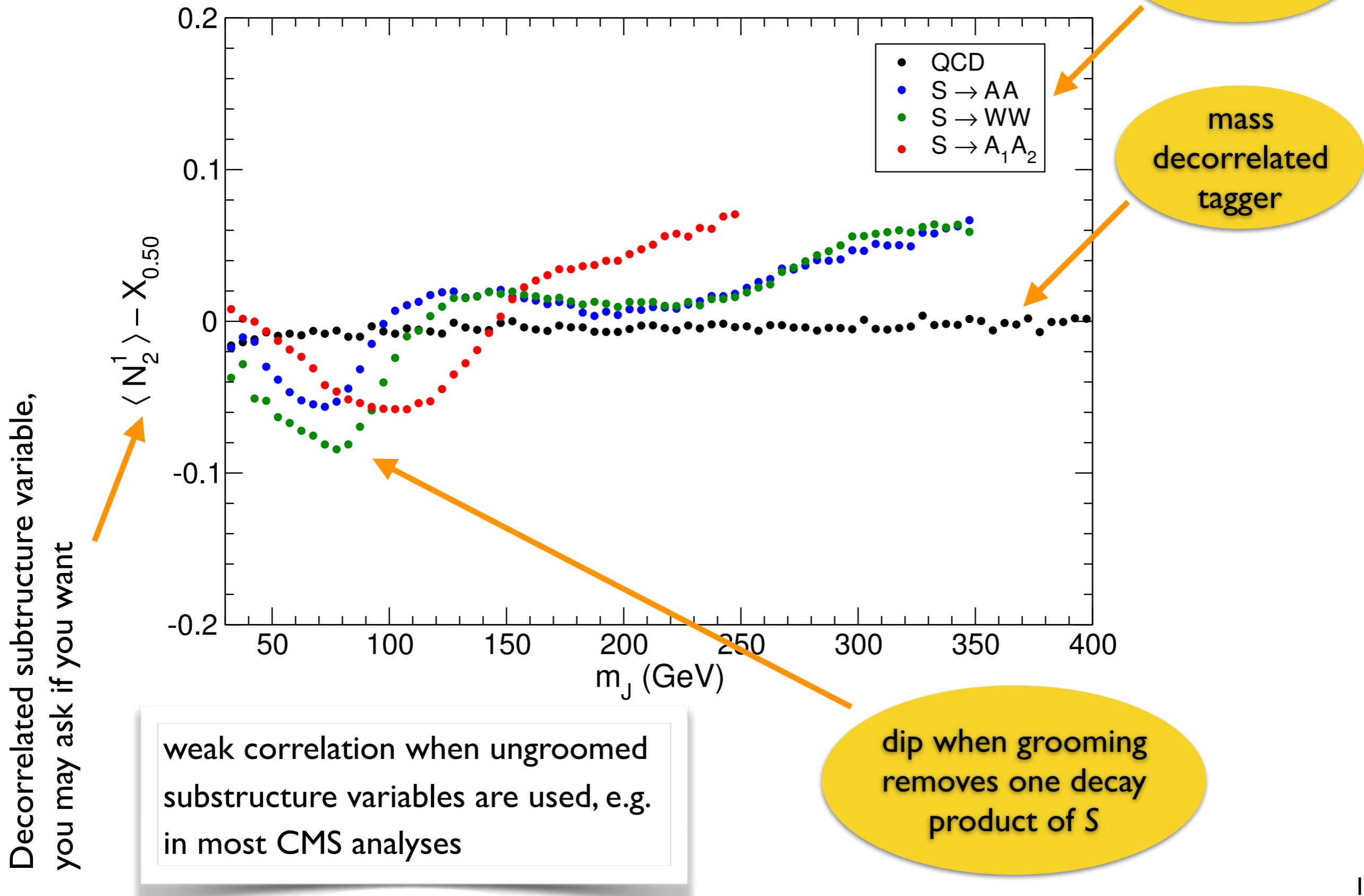


Recast of CMS light Z' search, soft drop



grooming removes
one W

Interplay between grooming and substructure

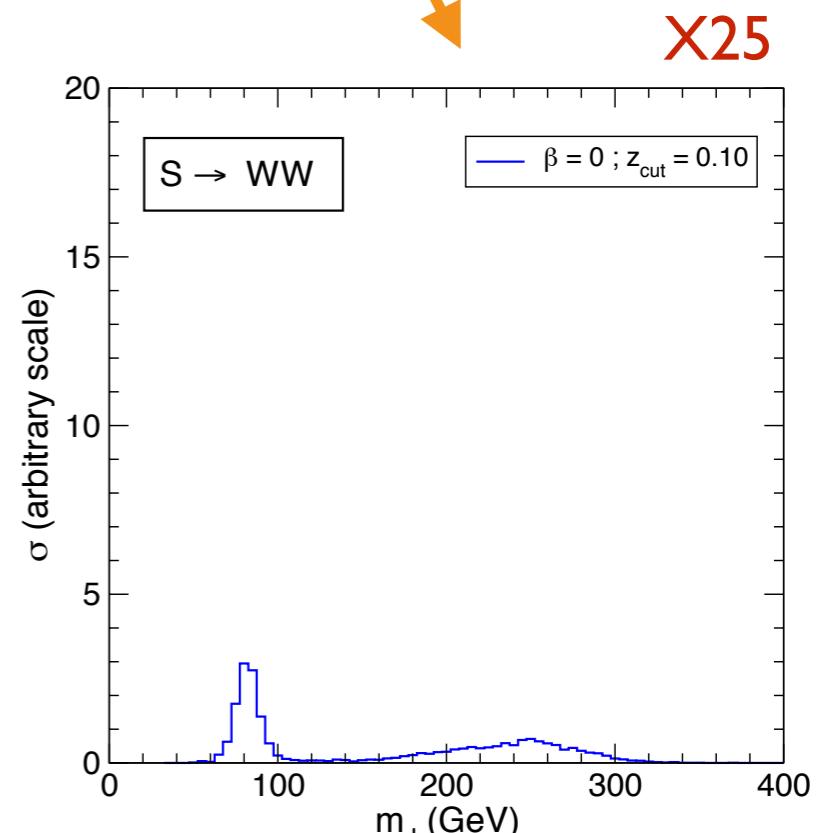
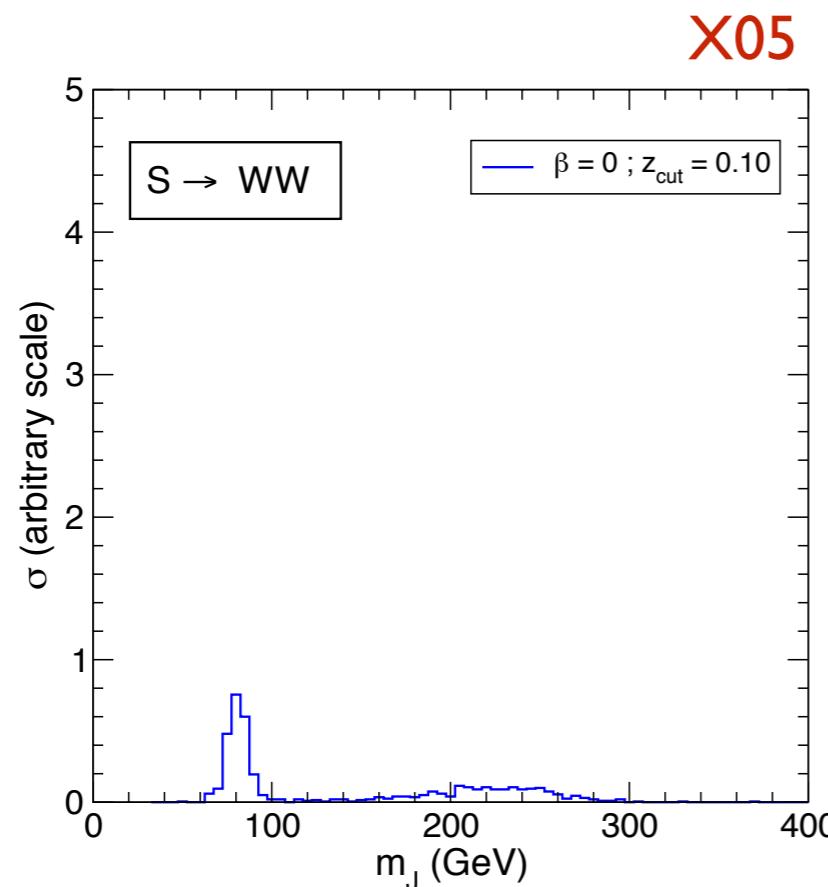
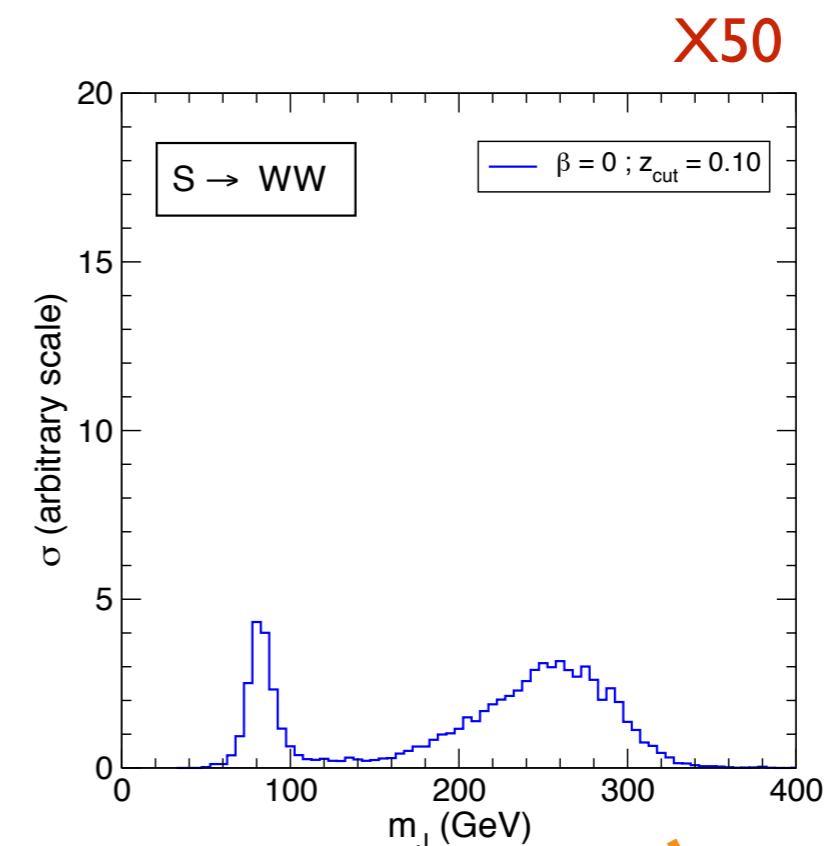
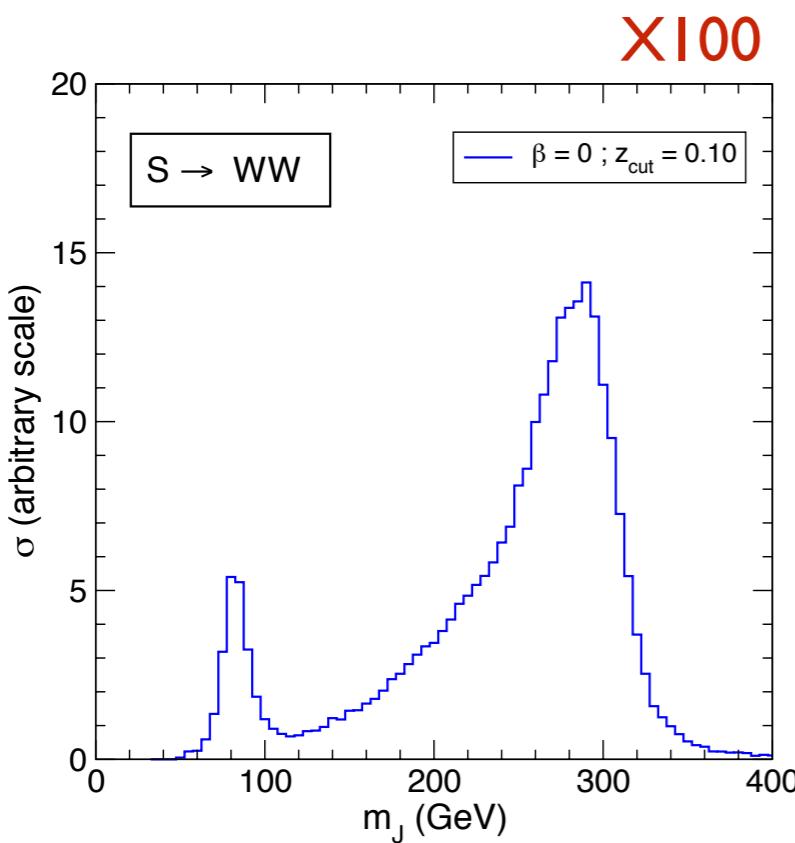


Decorrelated substructure variable,
you may ask if you want

weak correlation when ungroomed
substructure variables are used, e.g.
in most CMS analyses

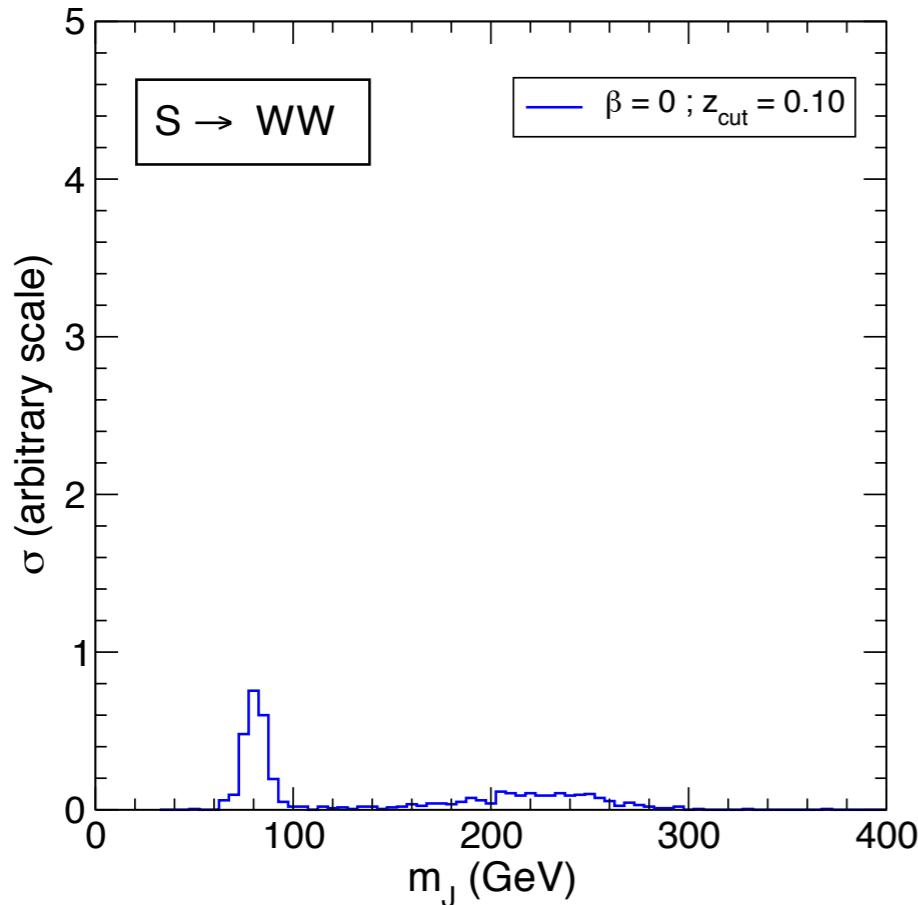
dip when grooming
removes one decay
product of S

Therefore, an increasingly harsher cut on **groomed N_2^1** makes the high-mass bump move and disappear...



Consequences I:

You may have a signal with a 'W' (or 'Z') that **does not decay to leptons**.



Note: this can also happen when substructure of ungroomed jet is used: the other bump is not seen if a mass window is selected.

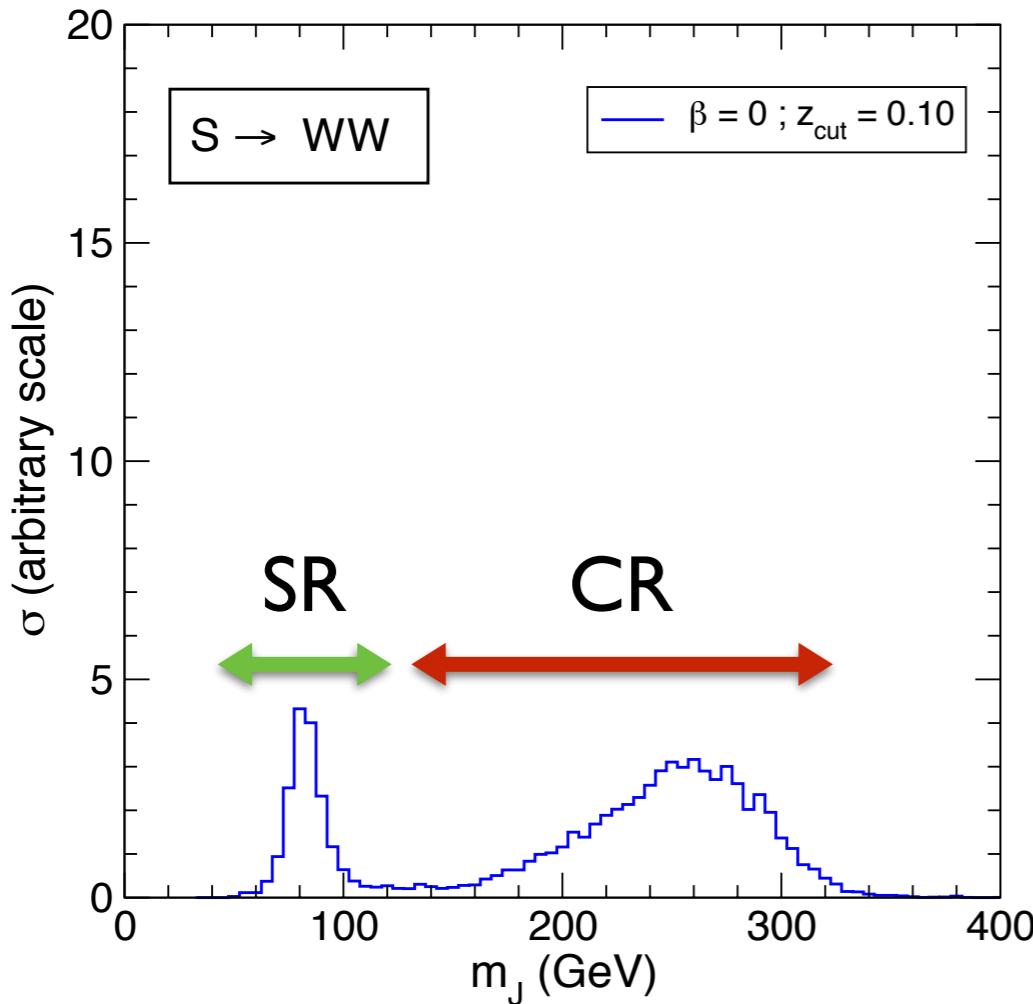
And this does not have anything to do with mass decorrelation.

That is, if you look for the sister signal with leptonic decay of W/Z you don't find it: $S \rightarrow WW$ with one or two leptonic W decays doesn't look like $W \rightarrow e\nu, \mu\nu$!

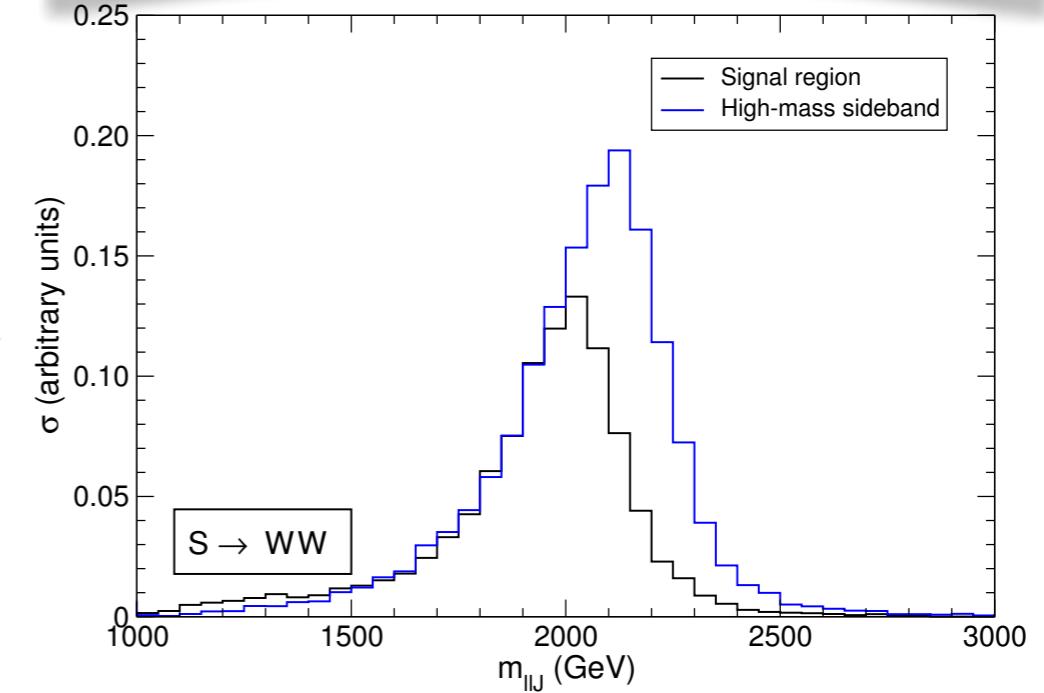
Consequences II

Also when substructure
of ungroomed jet is used

For looser selections, a freaking signal like this also might seriously pollute the control regions where the background is normalised, yielding unaccountable results... maybe dips in the signal region!



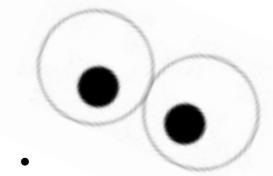
Typical $Z'/ W' \rightarrow \ell\ell J$ search



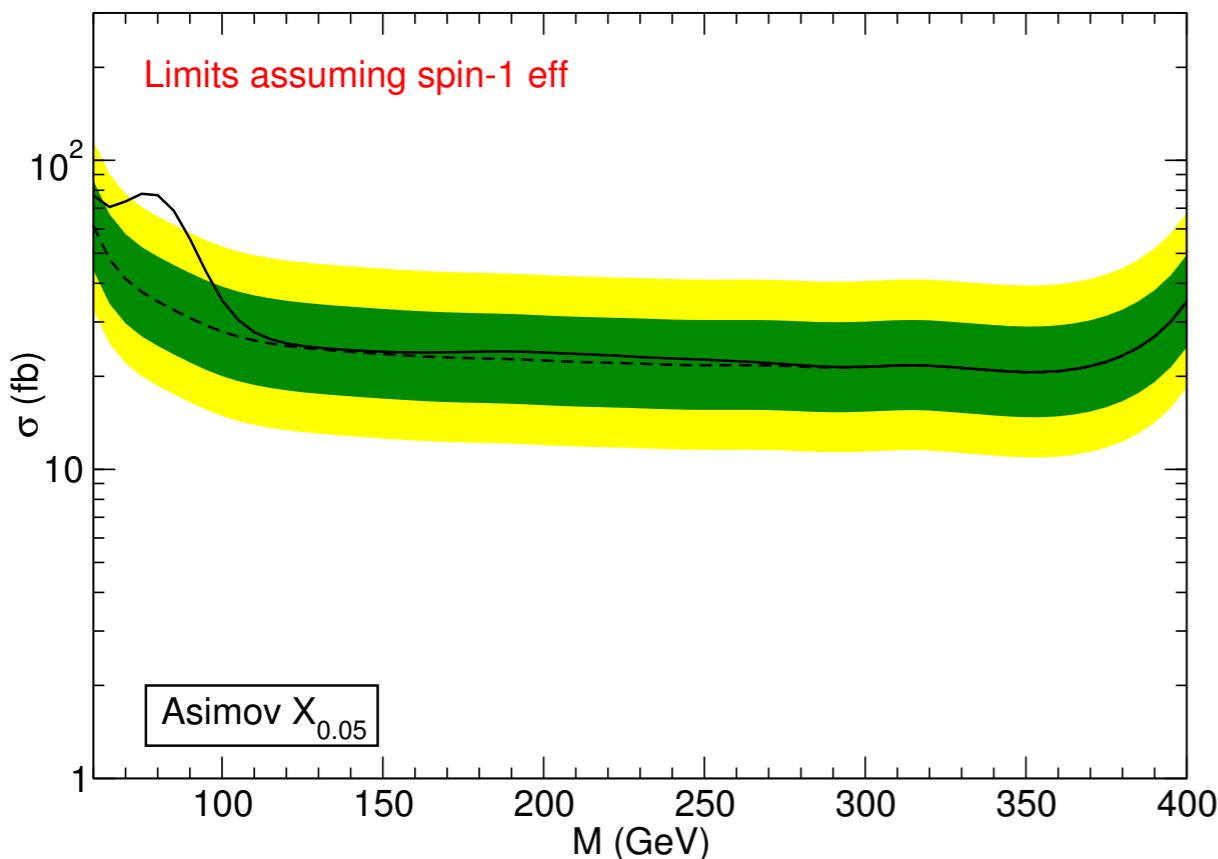
Remember the CDF Wjj excess in 2011!

Consequences III

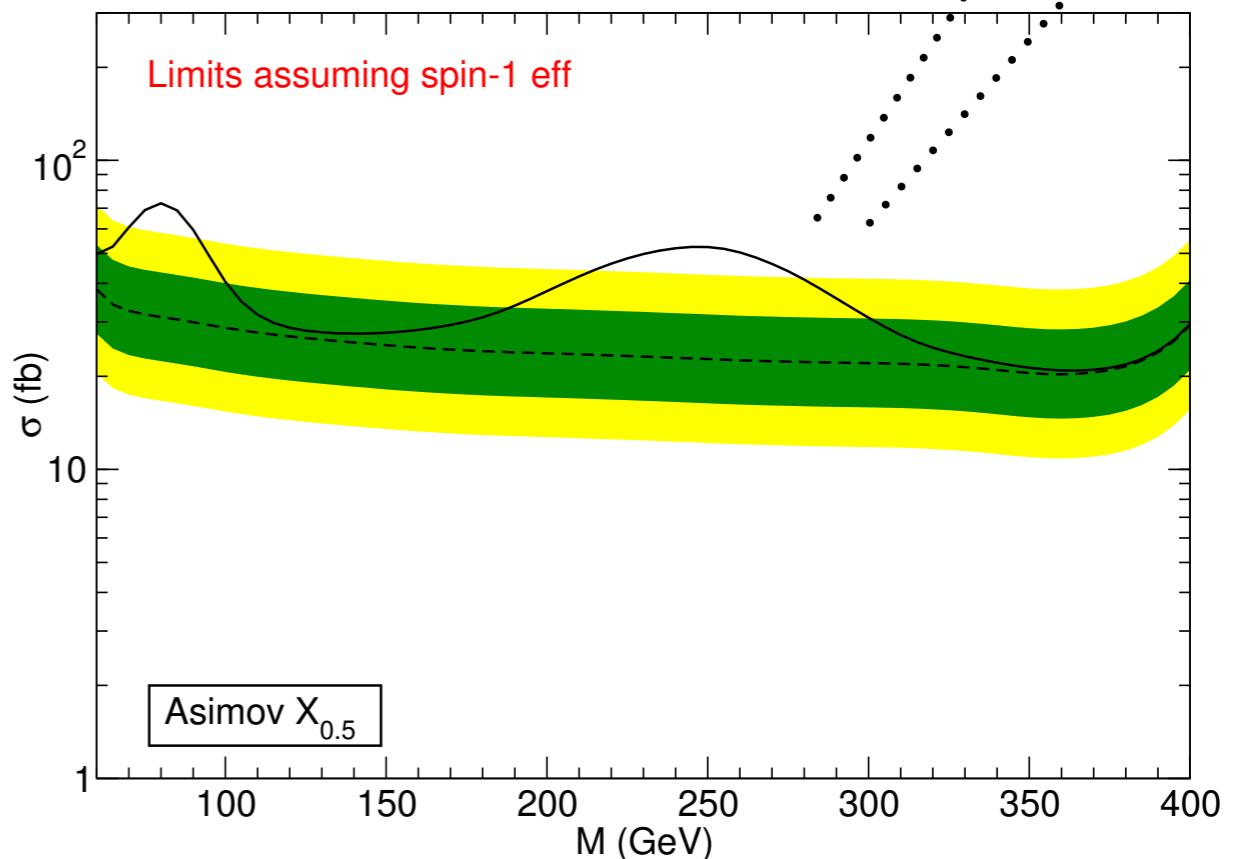
If you convert your observed limits on $\sigma \times \text{eff}$ to limits on σ by assuming the efficiency of some given signal, you can get notorious differences between different event selections.



Experiment A



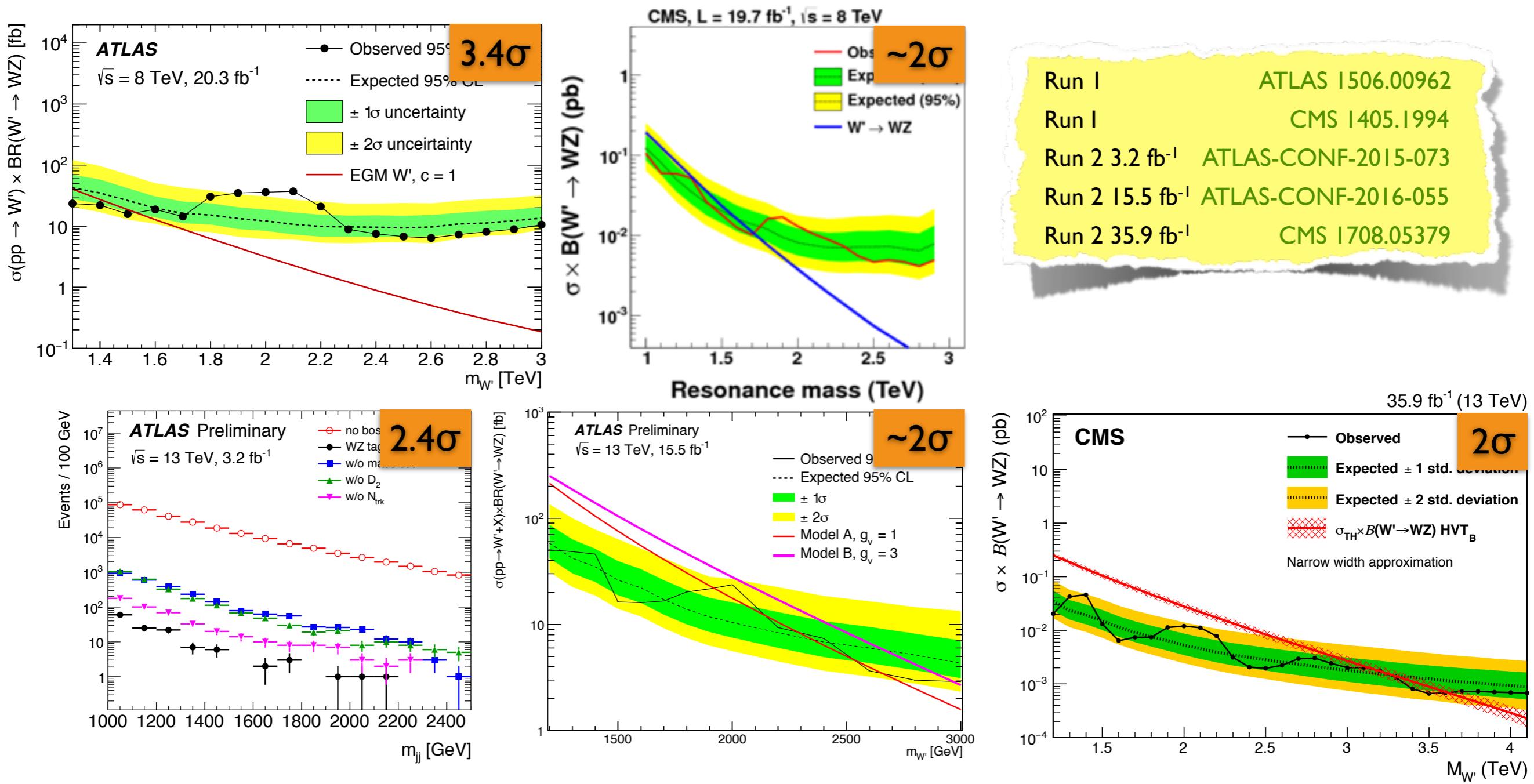
Experiment B



Never say you don't believe a bump may be something interesting because the other experiment doesn't see it.

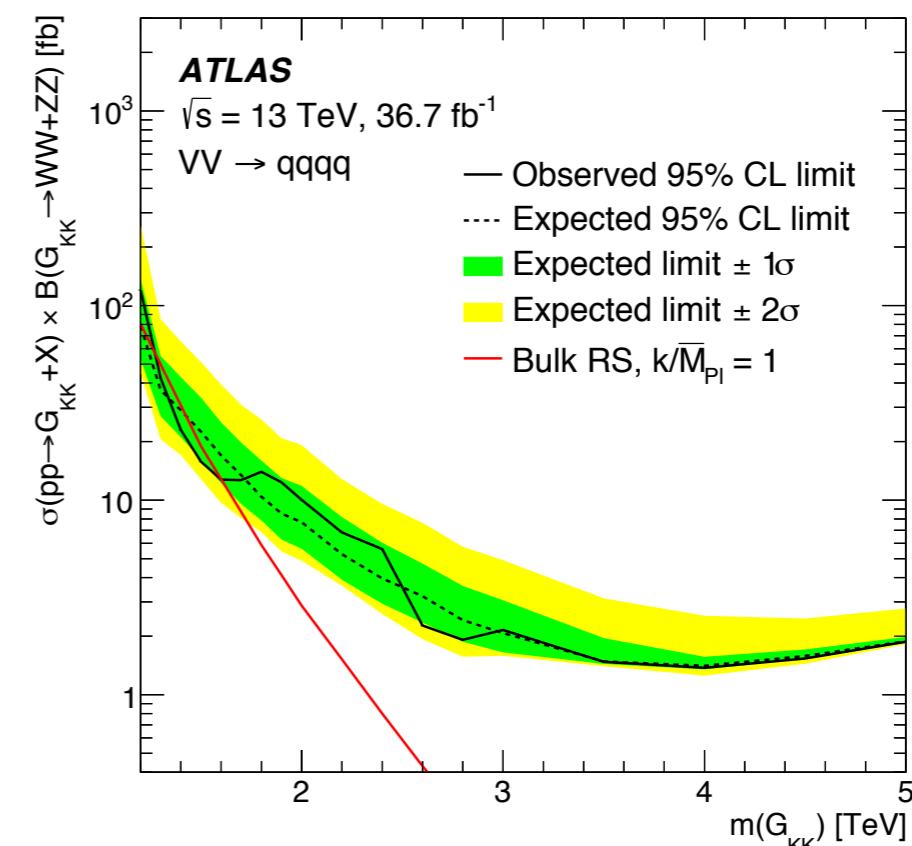
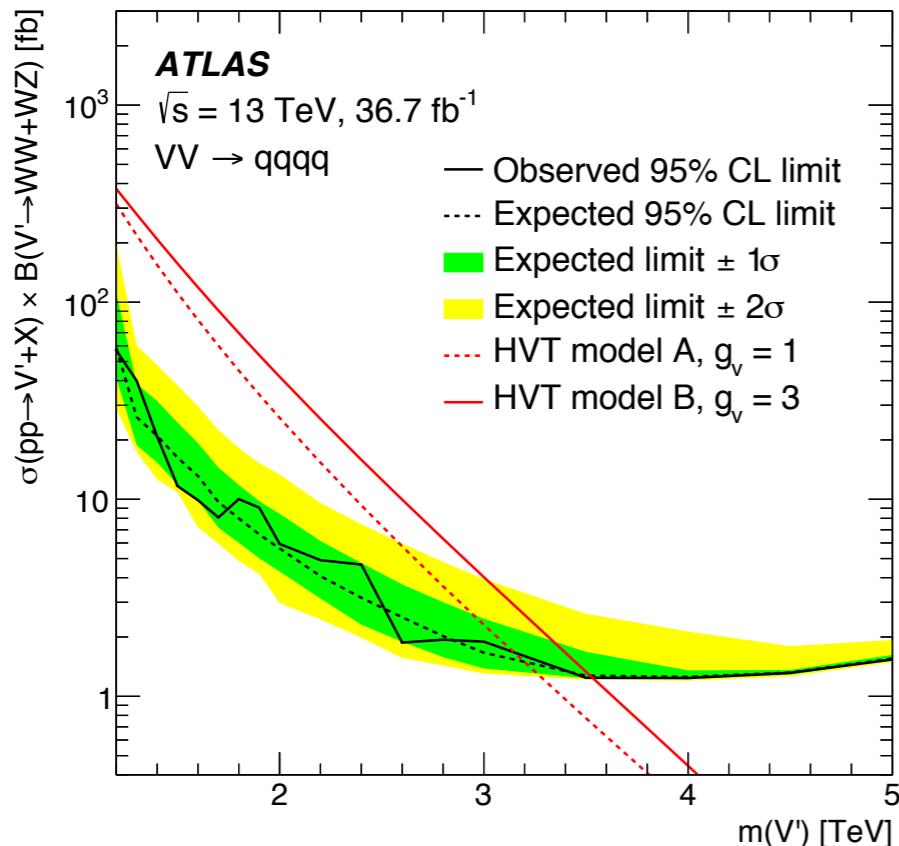
Experimental results: 2 TeV

As stressed before, five little bumps appeared around $M = 2$ TeV in diboson resonance searches in the **fully hadronic channel**



2017 ATLAS result with 36.7 fb^{-1} shows no excess around 2 TeV. New jet mass calibration, new D_2 / jet mass cut optimisation.

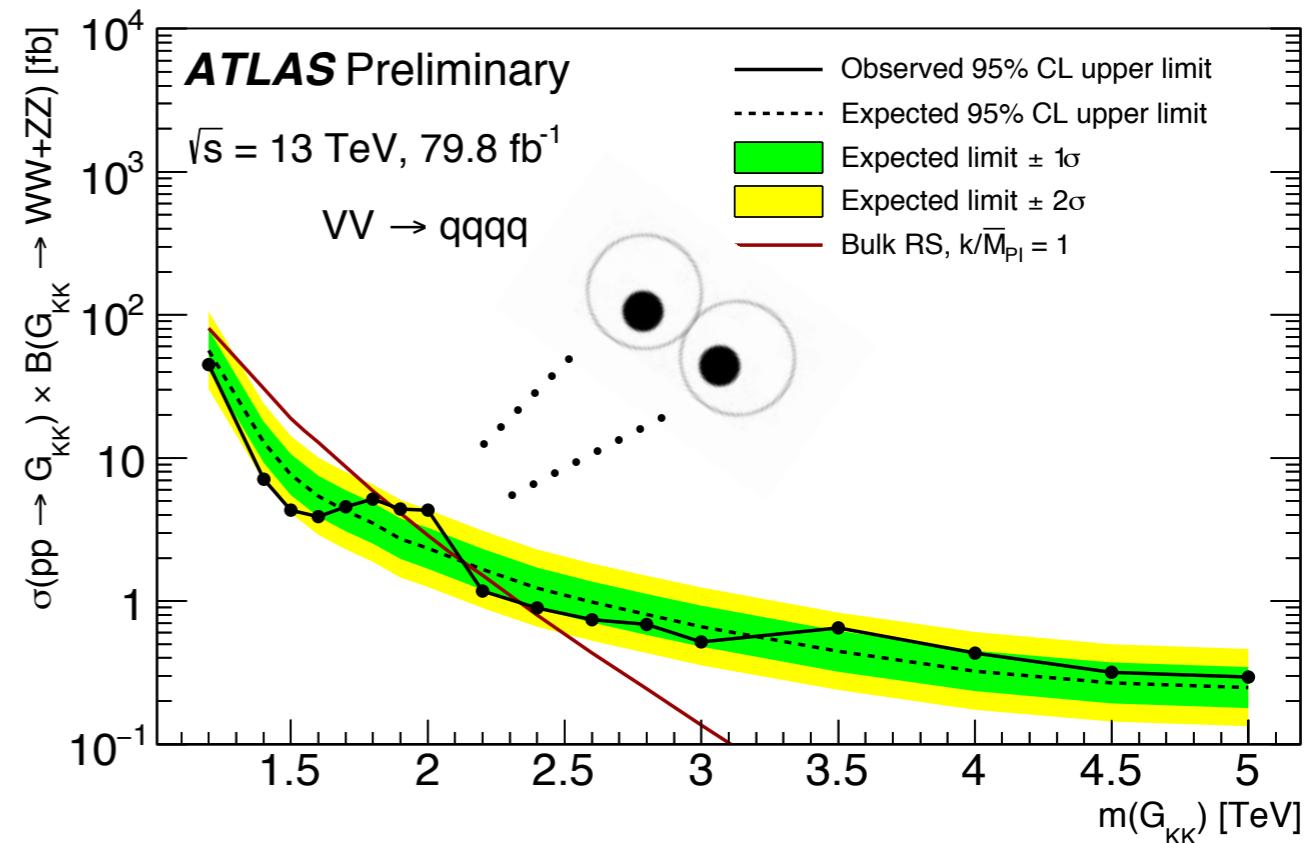
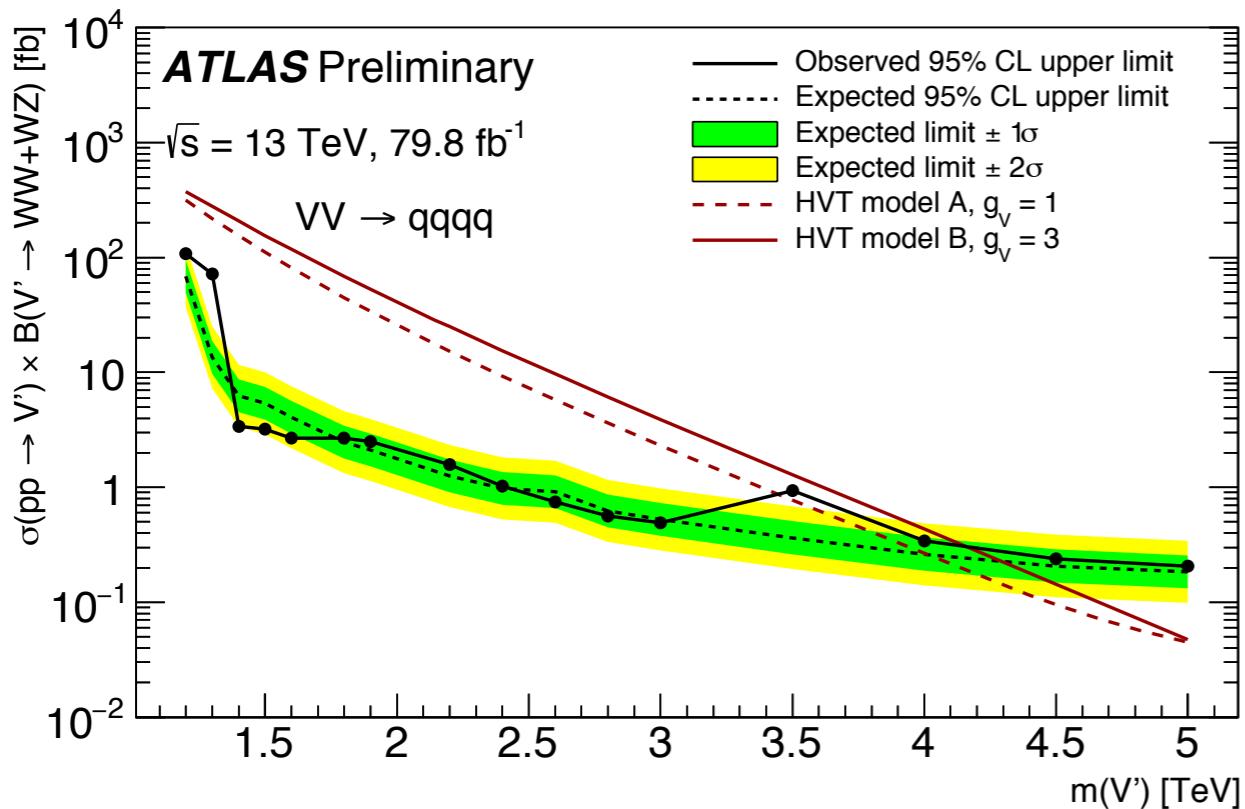
ATLAS 1708.04445



Disappointing? Certainly.
Conclusive? Not really.

2018 ATLAS result with 79.8 fb^{-1} ... new event selection again ...

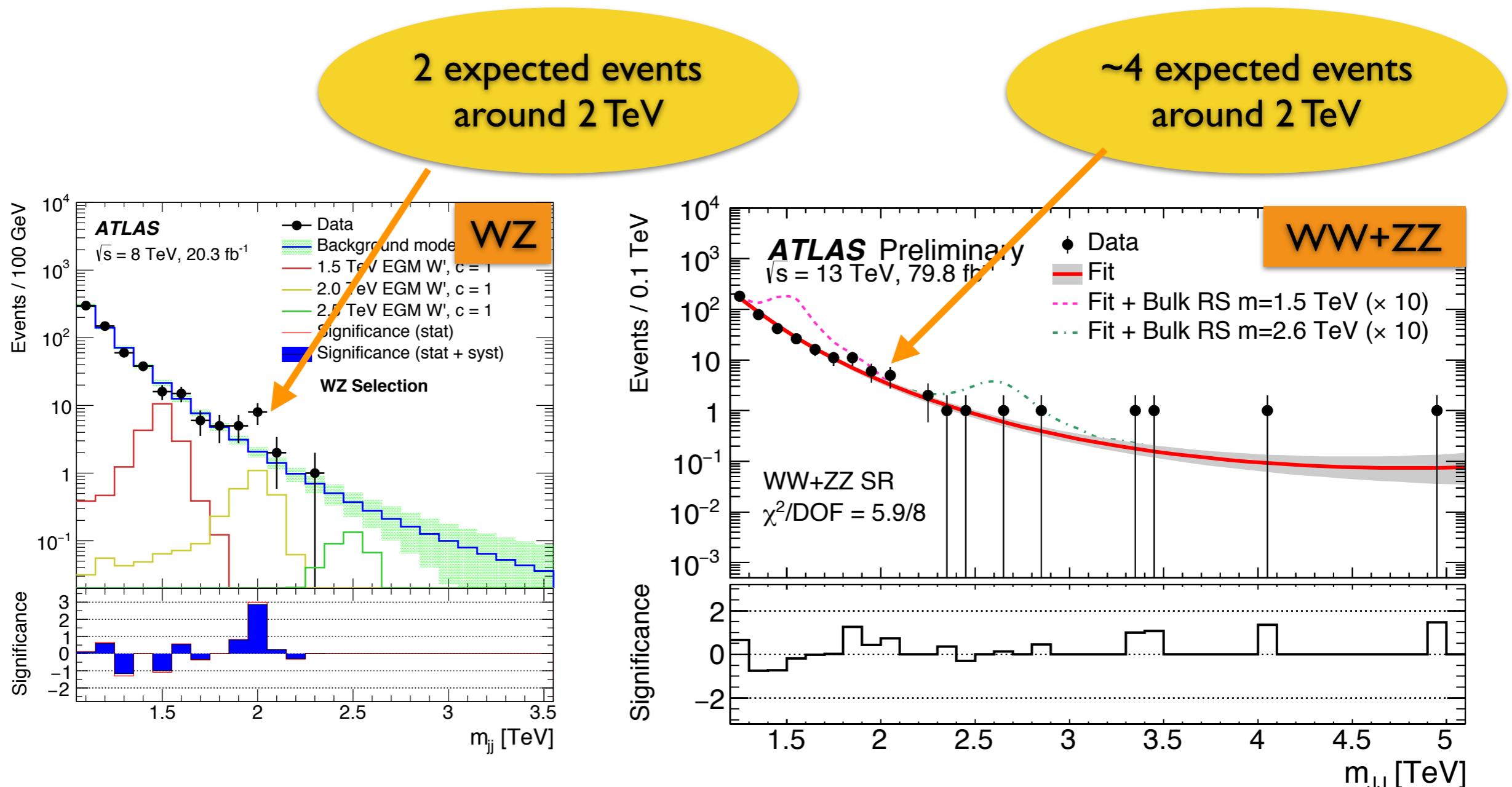
ATLAS-CONF-2018-016



Encouraging? Certainly.
Conclusive? Of course not!

Shouldn't a signal be growing? No, the dataset is not growing either!

From 8x PDF & 4x lumi, 32x event increase expected.



Compatible with 'stealth boson' hypothesis

Tools

Existing tools cannot properly handle BSM multi-pronged hadronic jets that can result, for example, from cascade decays of boosted particles.

- Tagging tools mostly classify them as background-like
- Grooming tools do not recover the originating particle mass

If we want to perform [quite] model-independent searches, we need new tools.

See also Jack's talk about
unsupervised tagger

Generic anti-QCD tagger

Machine learning techniques allow to build generic **anti-QCD** taggers that efficiently discriminate multipronged jets [considered as signals] against jets from quarks and gluons [considered as background].

These taggers use as input a generalised set of variables measuring the jet **N-subjettiness** [i.e. how it looks N -pronged]

Datta, Larkoski, 1704.08249

$$\tau_N^{(\beta)} = \frac{1}{p_T J} \sum_i p_{Ti} \min \left\{ \Delta R_{1i}^\beta, \Delta R_{2i}^\beta, \dots, \Delta R_{Ni}^\beta \right\}$$

of which the previously seen τ_{21} corresponds to τ_2^1/τ_1^1 .

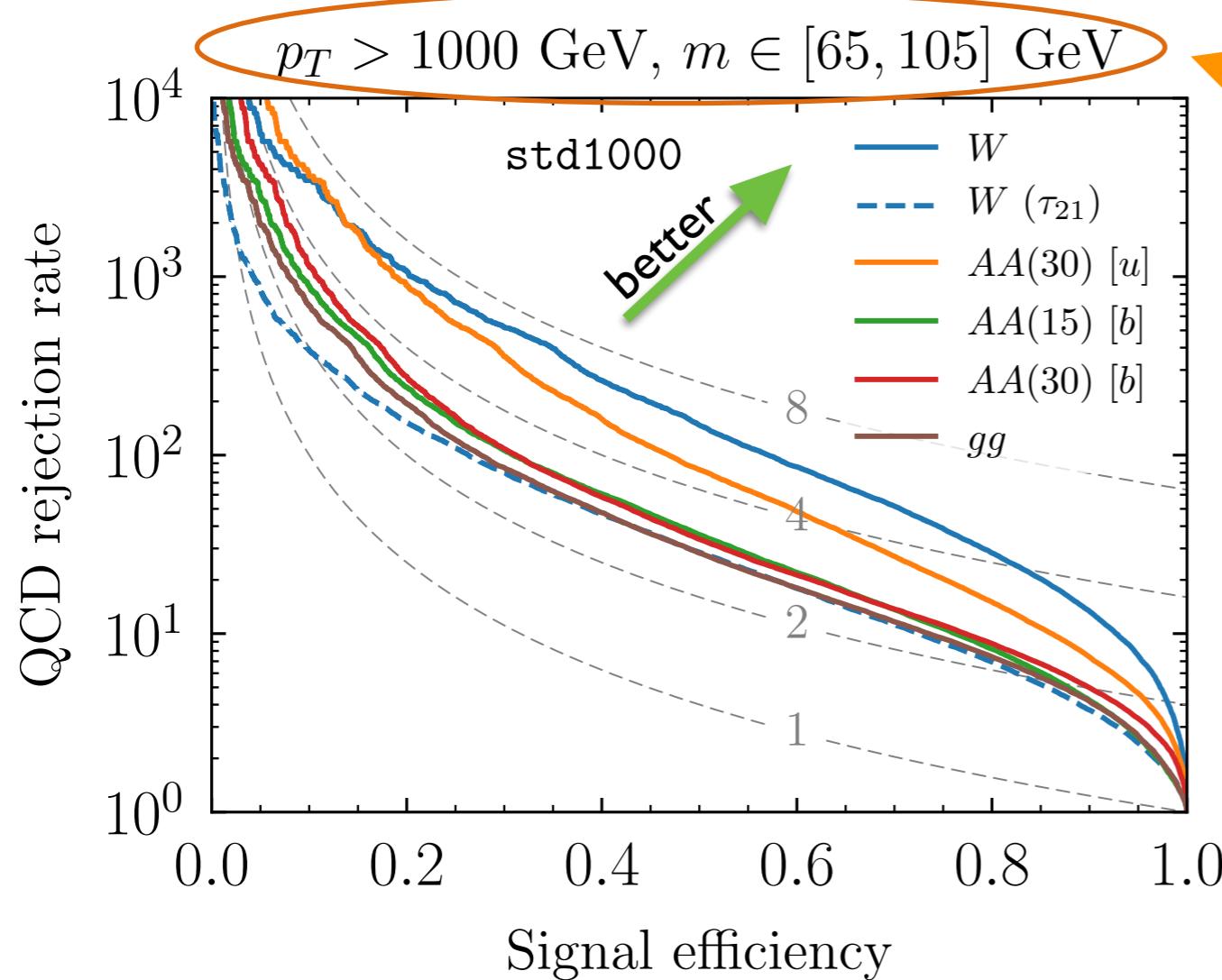
These variables are the input to a neural network that is trained using

- signals: jets with 2, 3 and 4-pronged decays, model-agnostic.
- background: jets from quarks and gluons.

And the tagger even learns to identify signals for which it is **not trained**.

Example: tagger performance for particles with $M = 80$ GeV

JAAS, Collins, Mishra, I709.01087



Blue: W bosons

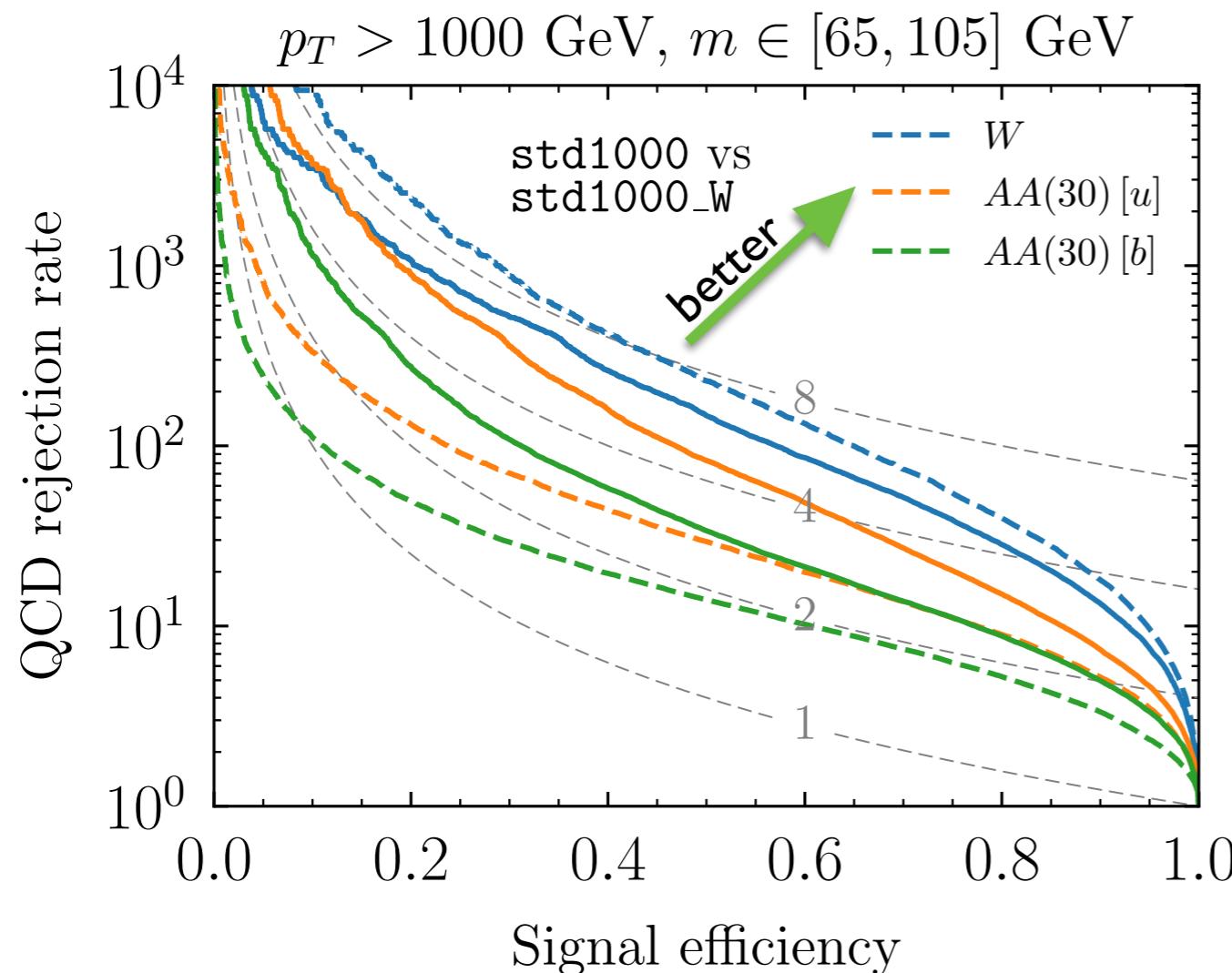
Red: stealth bosons $M_A = 30$ GeV

Green: stealth bosons $M_A = 15$ GeV

Orange: $H_I^0 \rightarrow uuuu$ $M_A = 30$ GeV

Brown: $H_I^0 \rightarrow gg$

Comparison with dedicated W tagger [trained on W bosons] for particles with $M = 80 \text{ GeV}$

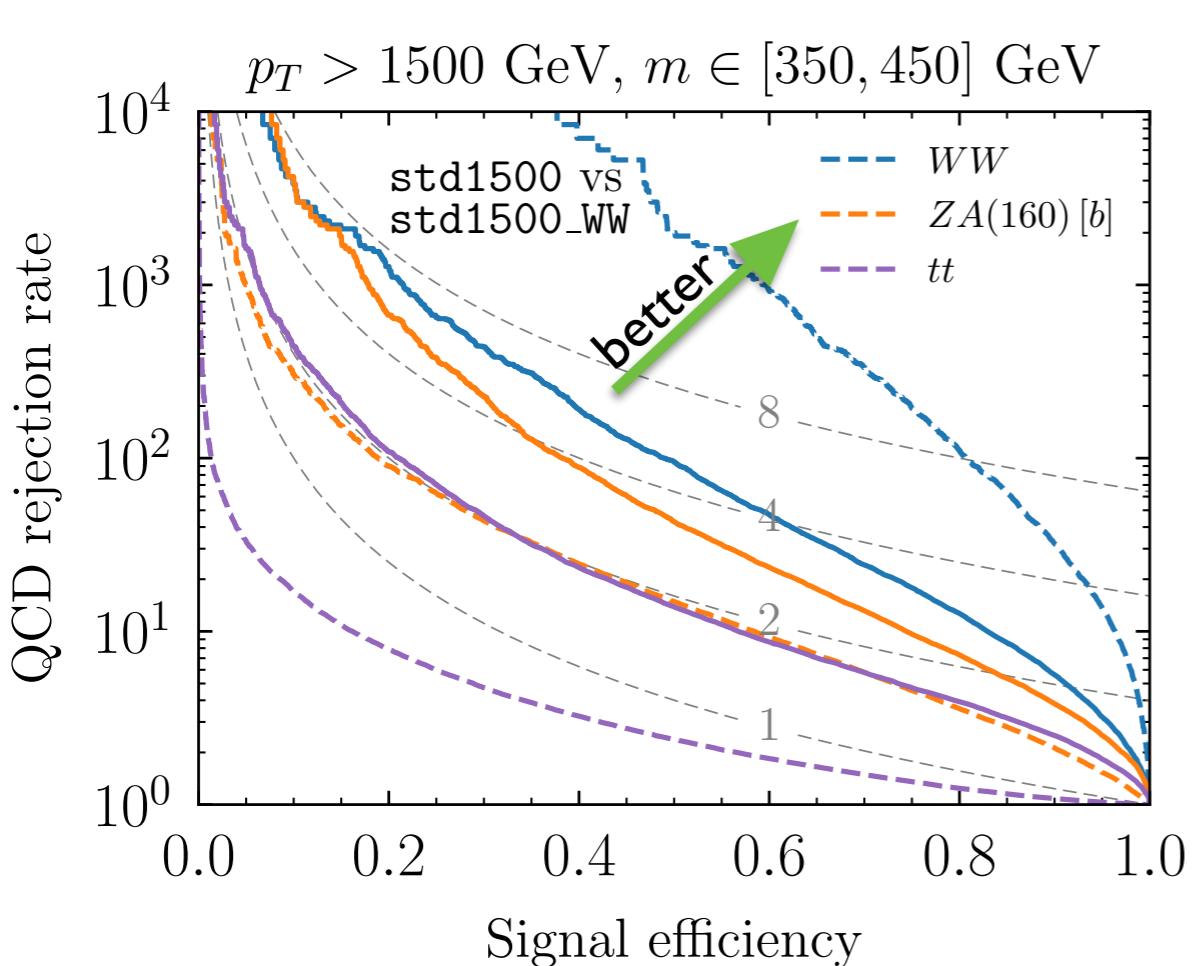


- Blue: W bosons
- Green: stealth bosons $M_A = 30 \text{ GeV}$
- Orange: $H_I^0 \rightarrow uuuu \quad M_A = 30 \text{ GeV}$
- Solid: generic tagger
- Dotted: dedicated tagger

The dedicated W tagger is slightly better for W 's
The generic tagger is way better for stealth bosons

Key feature: model independent (MI) data

NNs are trained on signal jets corresponding to decays with flat matrix element and phase space [generated using Protos] to achieve wider sensitivity



Comparison with dedicated WW tagger
for particles with $M = 400 \text{ GeV}$

Blue: $H_I^0 \rightarrow WW$

Orange: $H_I^0 \rightarrow ZA \quad M_A = 160 \text{ GeV}$

Purple: $H_I^0 \rightarrow tt$ six-pronged jet!

Solid: generic tagger

Dashed: dedicated tagger

The dedicated WW tagger is way better for WW, worse for ZA, and completely fails for tt

Mass-decorrelated taggers that **do not shape background** can spot signals with masses different from those used for training

Background + injected signals

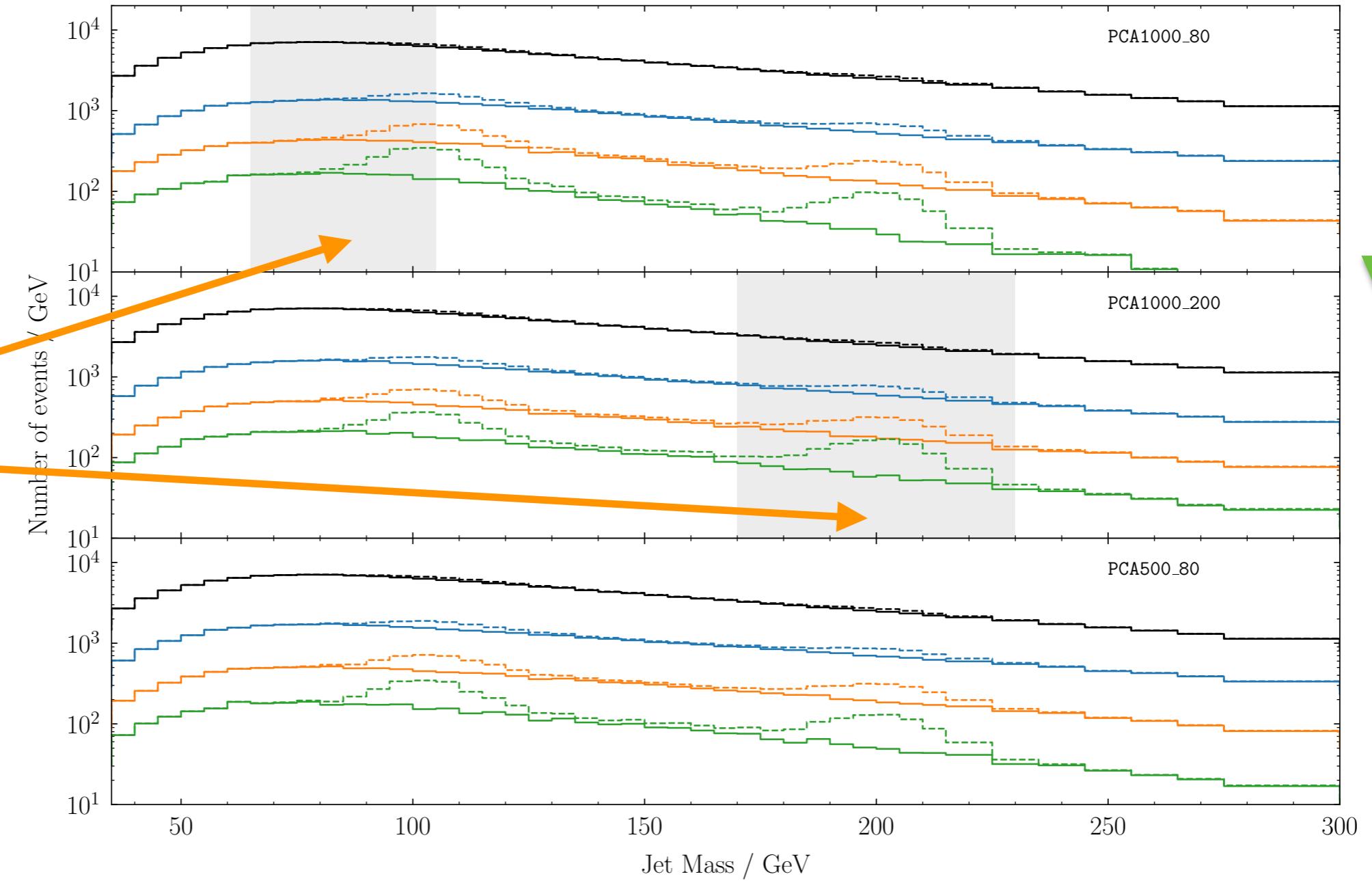
$p_T > 1000 \text{ GeV}$

PCA1000_80

PCA1000_200

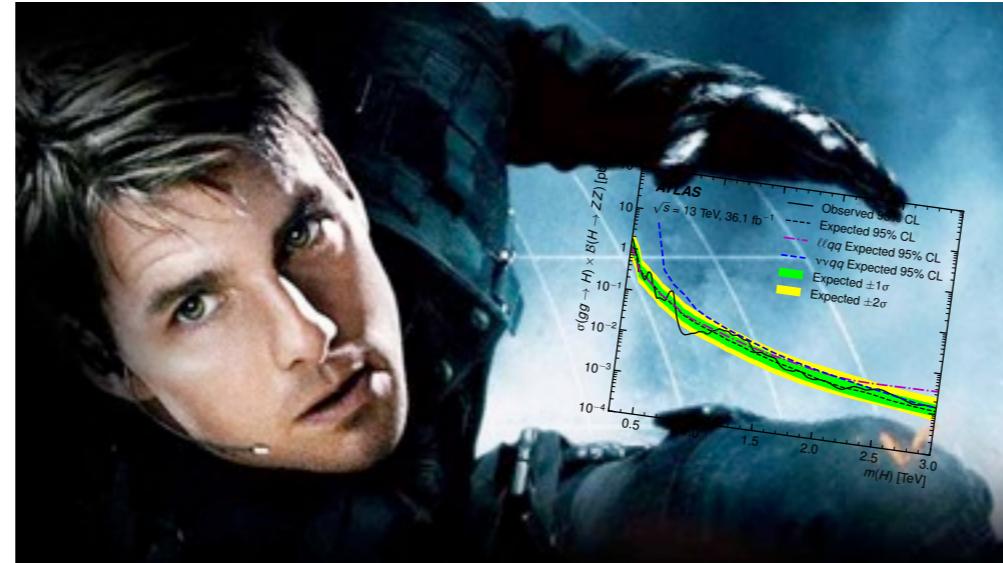
PCA500_80

training
mass
intervals



Last Words

- ▶ Recasting experimental results for non-minimal models, to see what may be in data, is becoming Mission: Impossible.

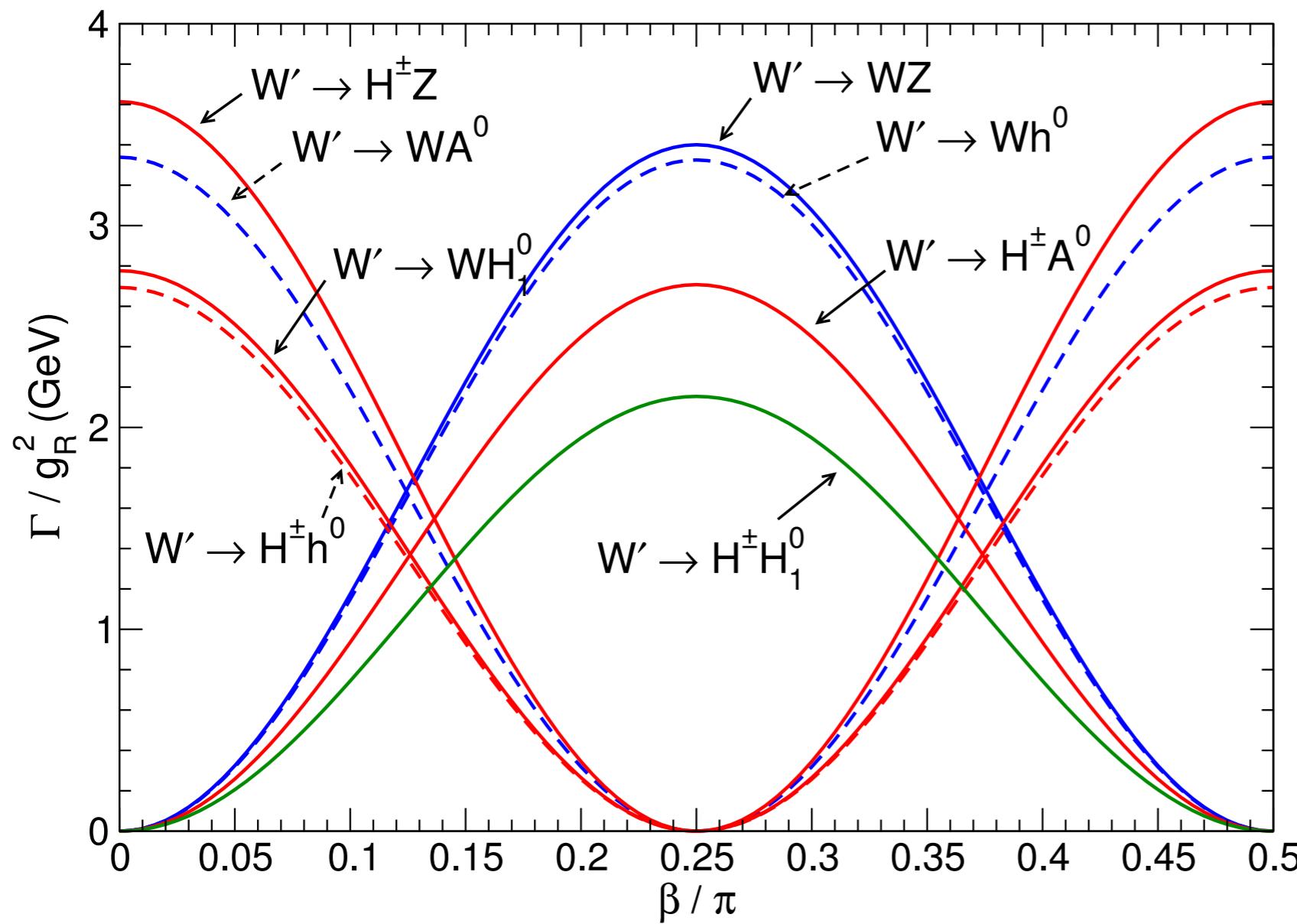


- ▶ And it does not give any information if sensitivity is lost.
- ▶ With new tools, **model-independent** new physics searches giving boosted fat jets are possible.
- ▶ This would be a **breakthrough**, as we would be sensitive to many non-minimal new physics scenarios we are not really sensitive to.

Extra!

Dibosons vs tribosons & quadribosons

Assuming $M(H_1^0) \sim M(H^\pm)$ and A^0 lighter



Blue: dibosons

Red: tribosons

Green: quadribosons

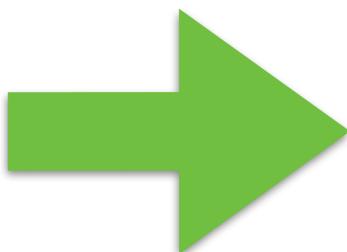
Features / caveats of the LR model

- ▶ $\beta = \pi/4$ ($\langle \phi_1^0 \rangle = \langle \phi_2^0 \rangle$) implies $m_t = m_b$ [in minimal model with bidoublet]

Some fine tuning of Yukawa couplings required unless $\beta \sim 0$ or $\beta \sim \pi/2$, therefore multibosons are natural.

- ▶ Extra scalars H_1^0, A^0, H^\pm give unacceptable FCNC unless $M \geq 10 \text{ TeV}$

This does not seem natural: why should one scalar have $M(H) = 125 \text{ GeV}$ and the rest of scalars in the multiplet $M = 10 \text{ TeV}???$



- add matter?
- add scalars?

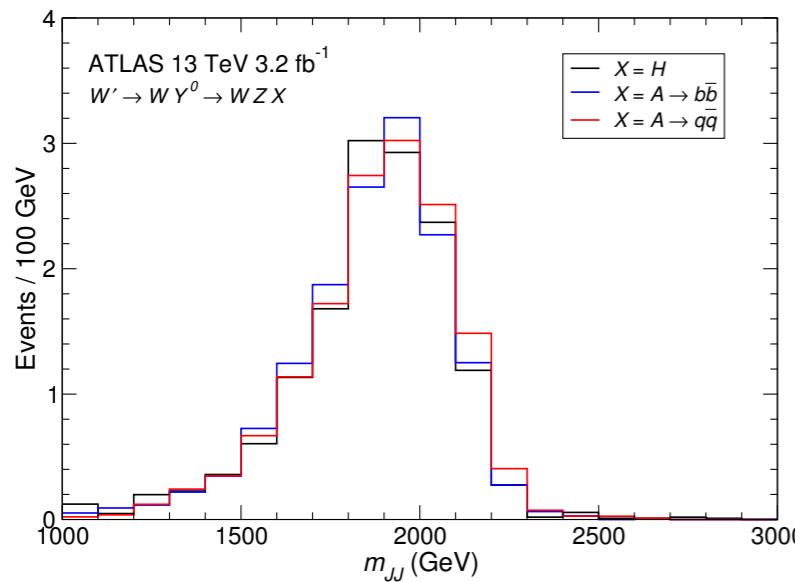
- ▶ Z' is not leptophobic! Stringent limits

$$W' \rightarrow WH_1^0, H_1^0 \rightarrow ZX$$

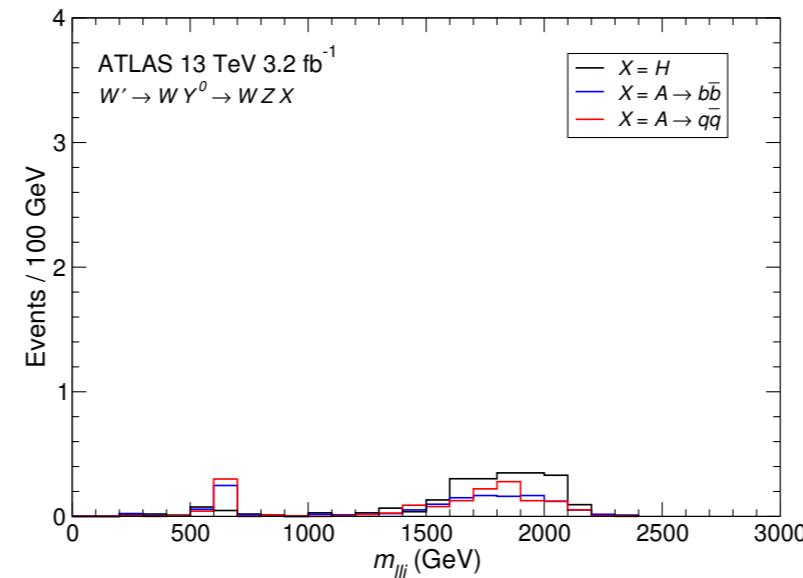
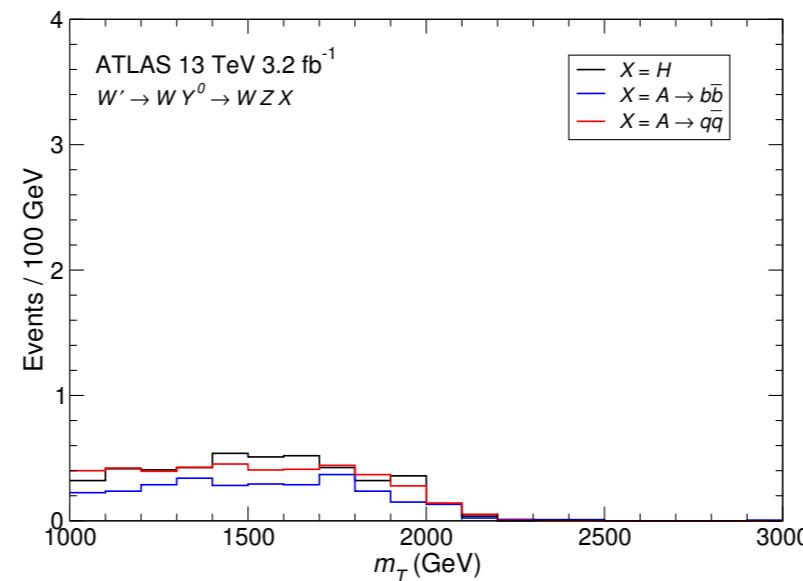
JAAS, Collins, Lombardo 1607.08911

Signals at a glance:

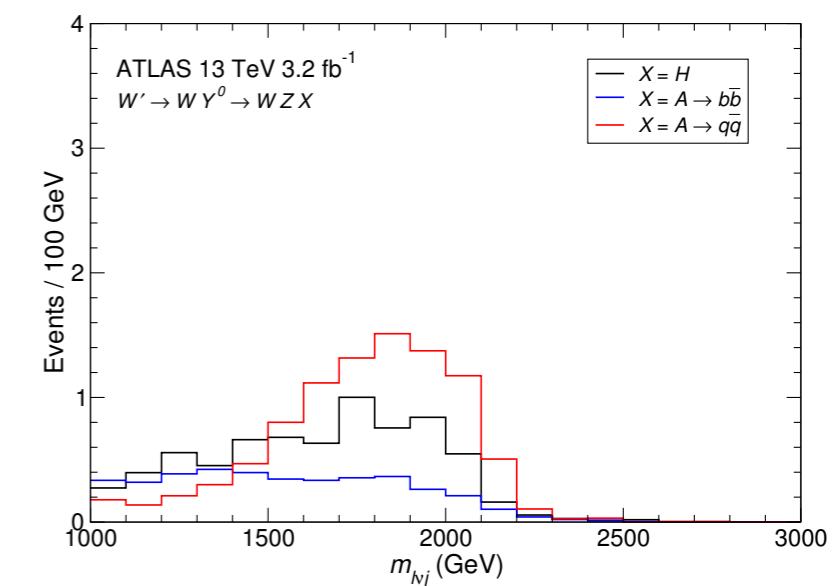
- same scale
- same luminosity



JJ



eeJ / μμJ



vvJ

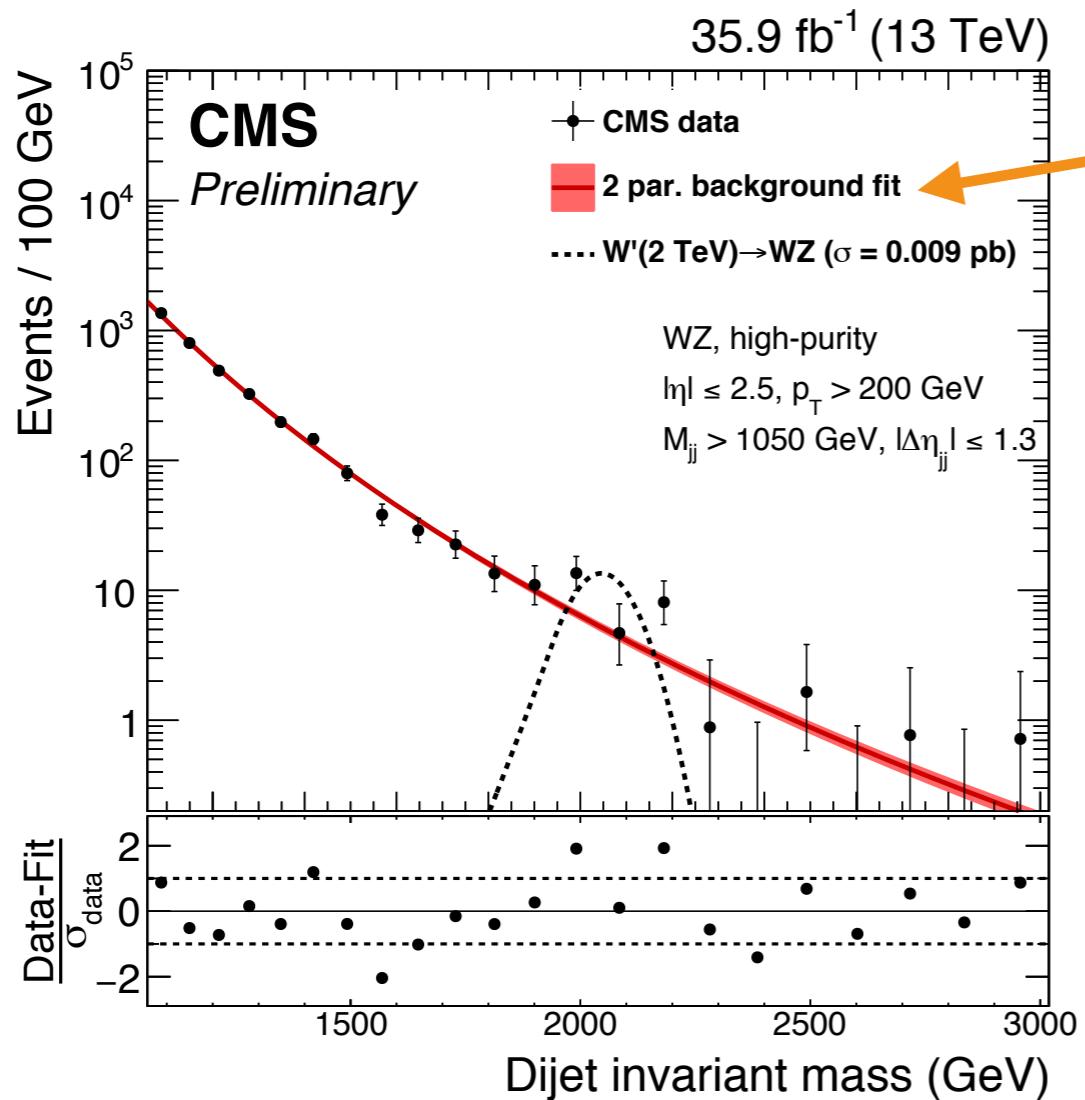
eeJ / μμJ



Achilles' heel of hadronic diboson searches

The main background is QCD dijet production, which cannot be accurately predicted by Monte Carlo calculations.

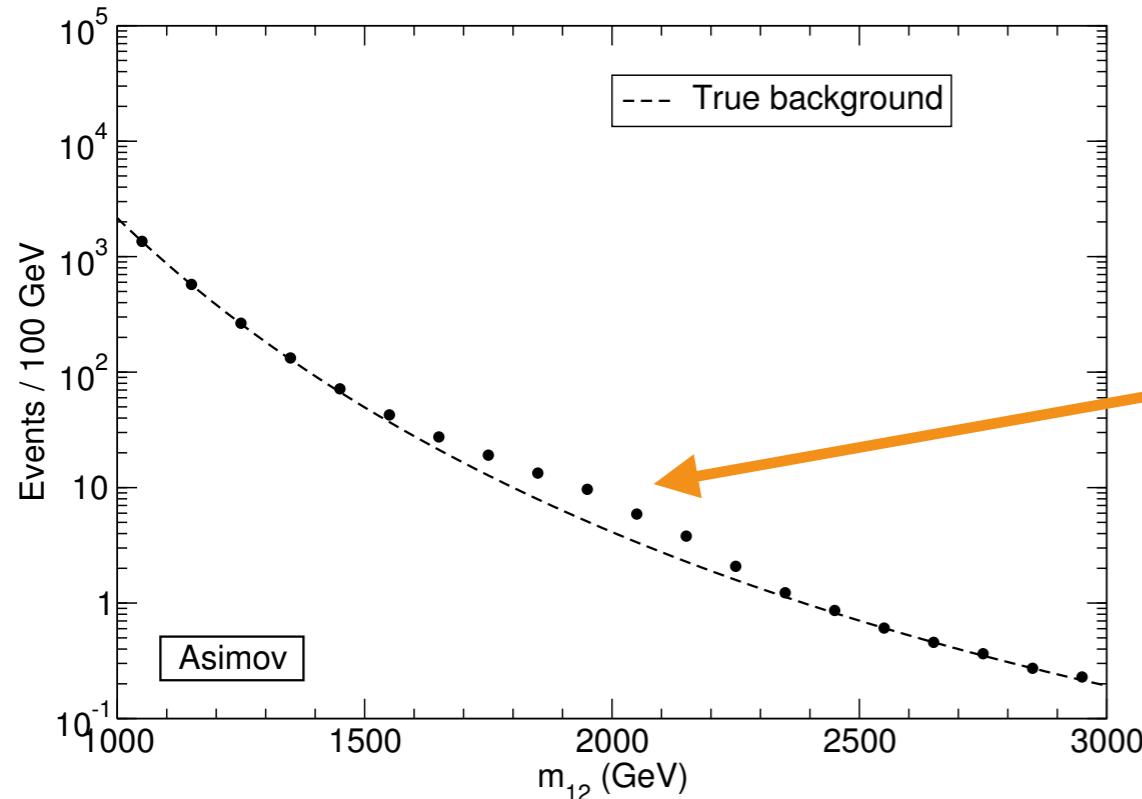
Therefore, the background is determined by a fit to data in the signal region using some smooth functional form.



$$\frac{dN}{dm_{JJ}} = \frac{P_0(1 - m_{JJ}/\sqrt{s})^{P_1}}{(m_{JJ}/\sqrt{s})^{P_2}}$$

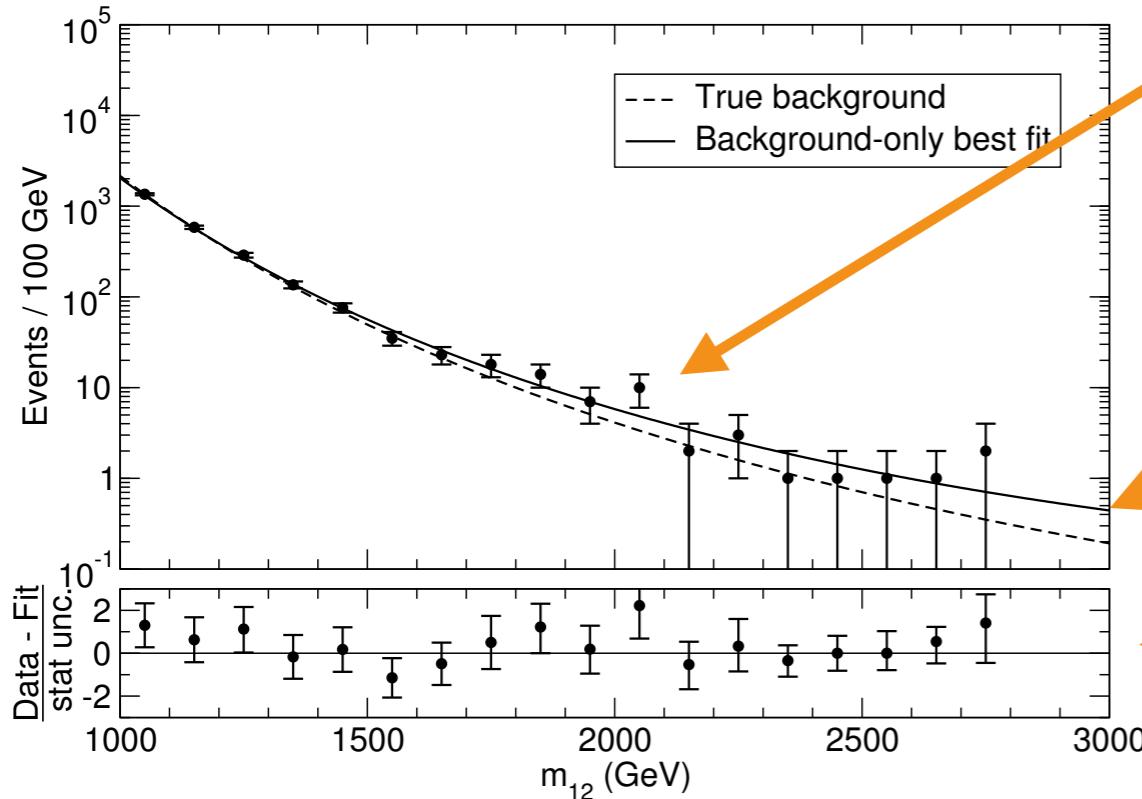
P_1, P_2 free parameters
 P_0 normalisation

This may be fine for narrow resonances, but new physics signals giving wide bumps are mostly absorbed by the background fit if statistics are small.



triboson signal is a large wide bump on top of smooth background

JAAS 1703.06153

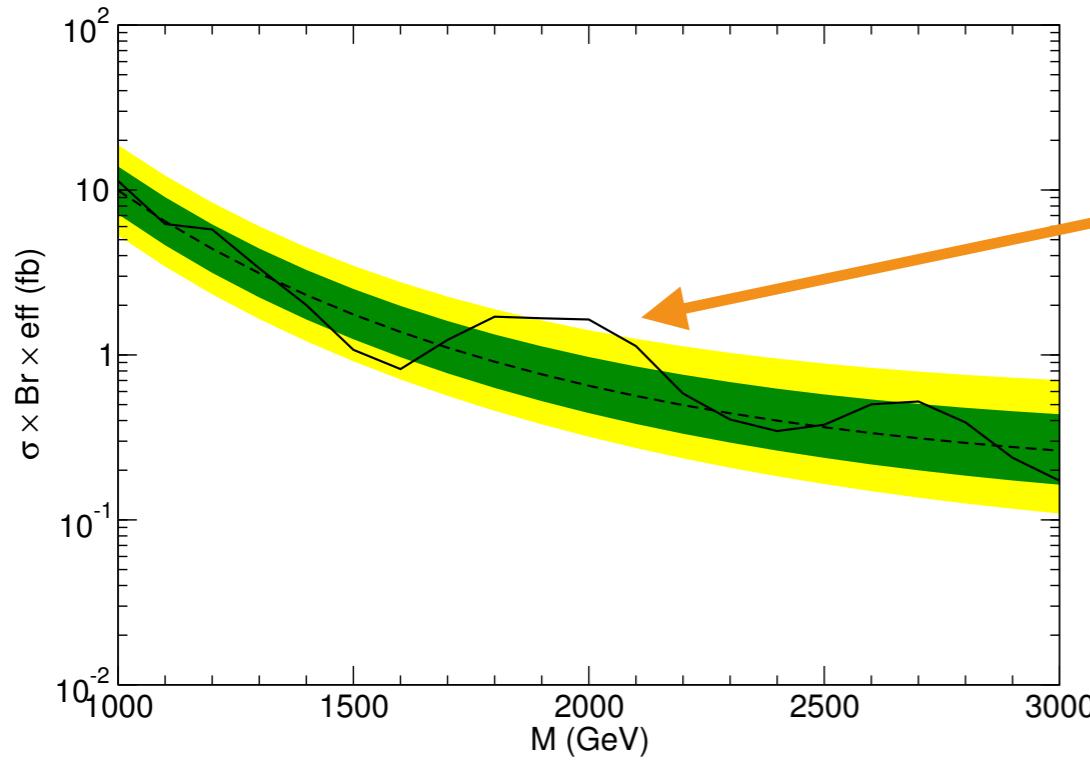


in pseudo-experiment, many extra 'signal' events and also some fluctuations

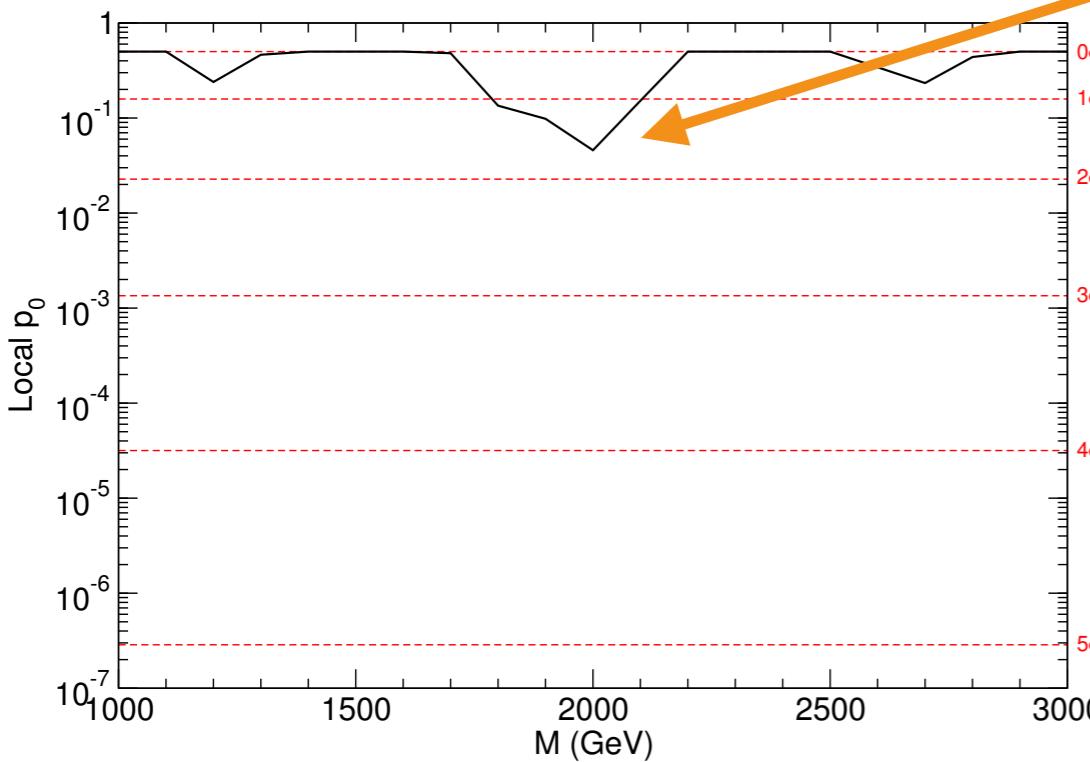
the 'best background-only fit' absorbs part of the bump

data exhibits smallish deviations w.r.t. best fit

Therefore...



upper limit does
not show anything
remarkable



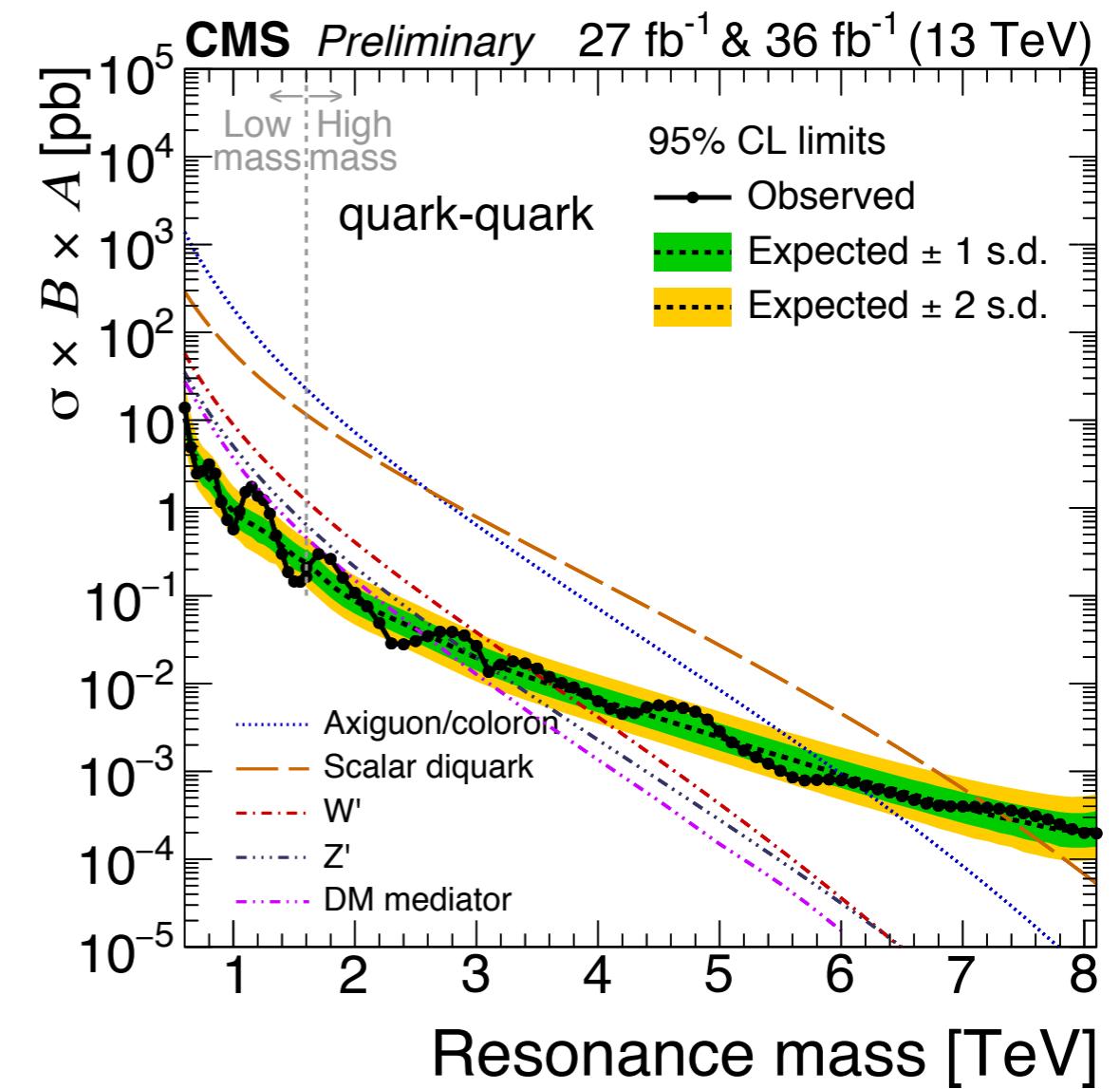
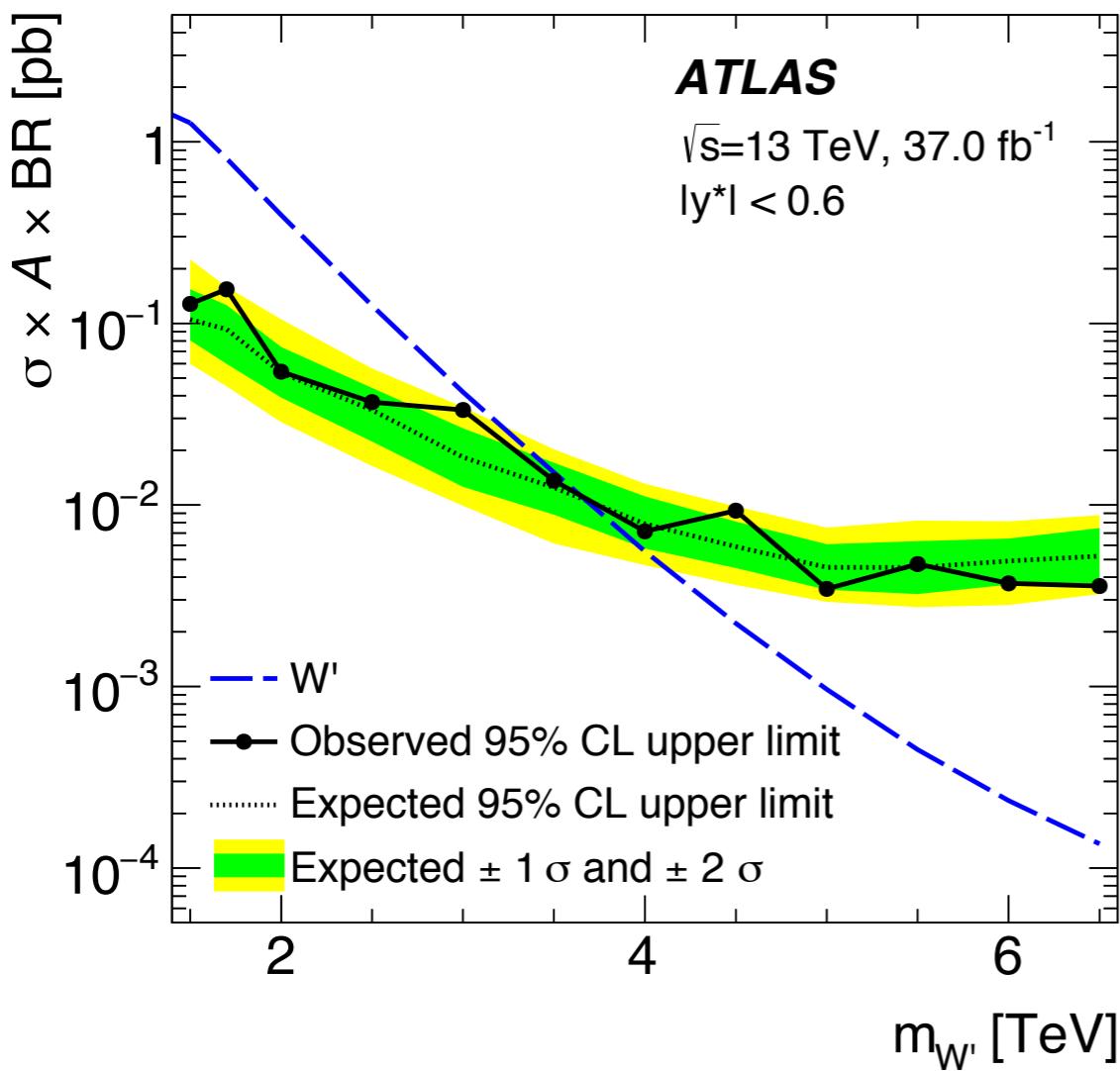
P -value calculated
assuming narrow
resonance does not
either



'No significant
excess is observed'

Dijet searches with untagged jets also have some features, but there are too many features to conclude something.

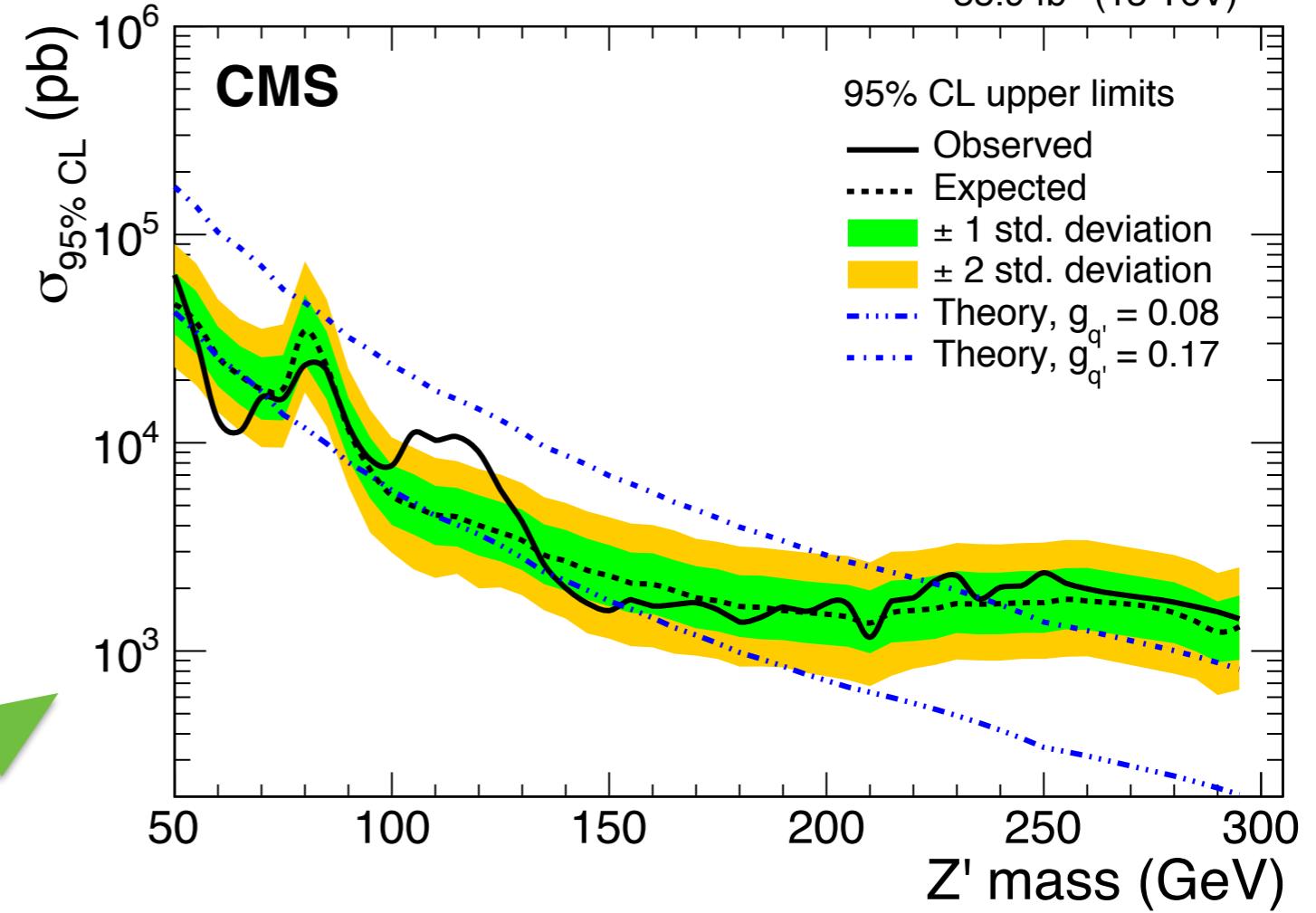
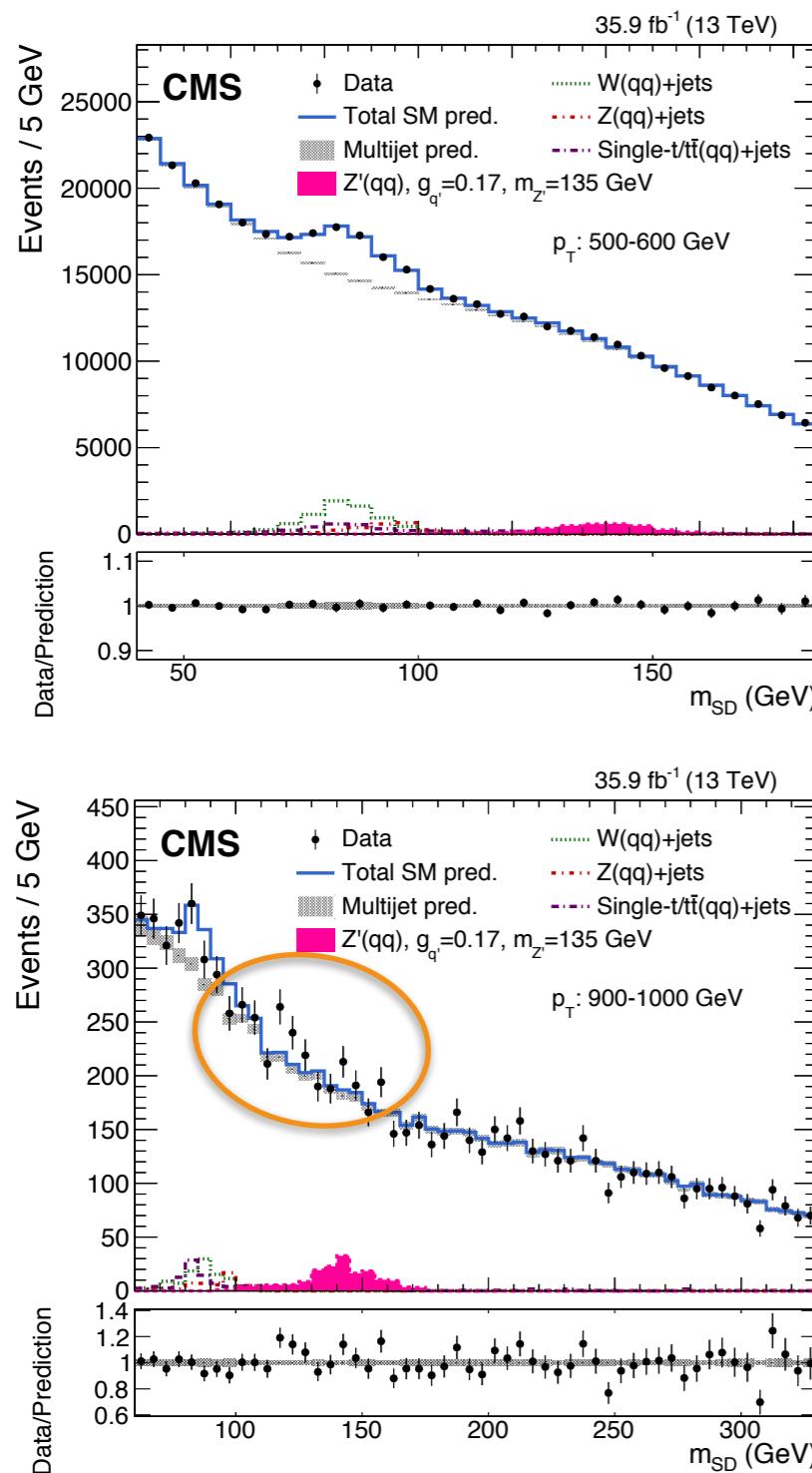
ATLAS I703.09I27
CMS-PAS-EXO-16-056



Experimental results: ~ 100 GeV

CMS search for light Z' decaying hadronically, and produced in association with a jet, observe a 2.9σ excess at $M = 110$ GeV

CMS 1710.00159

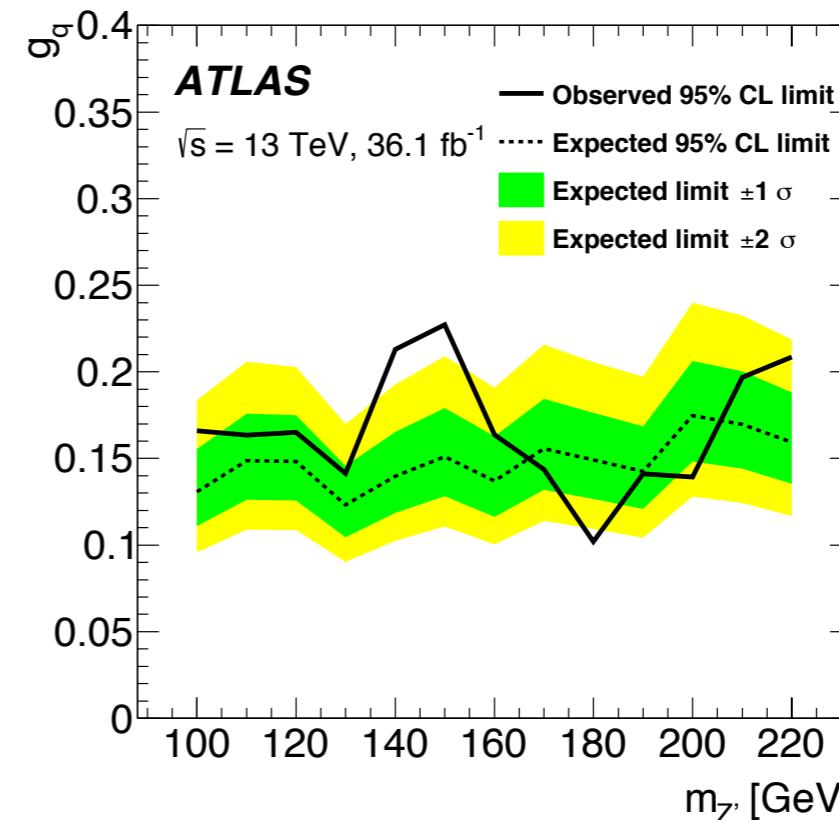
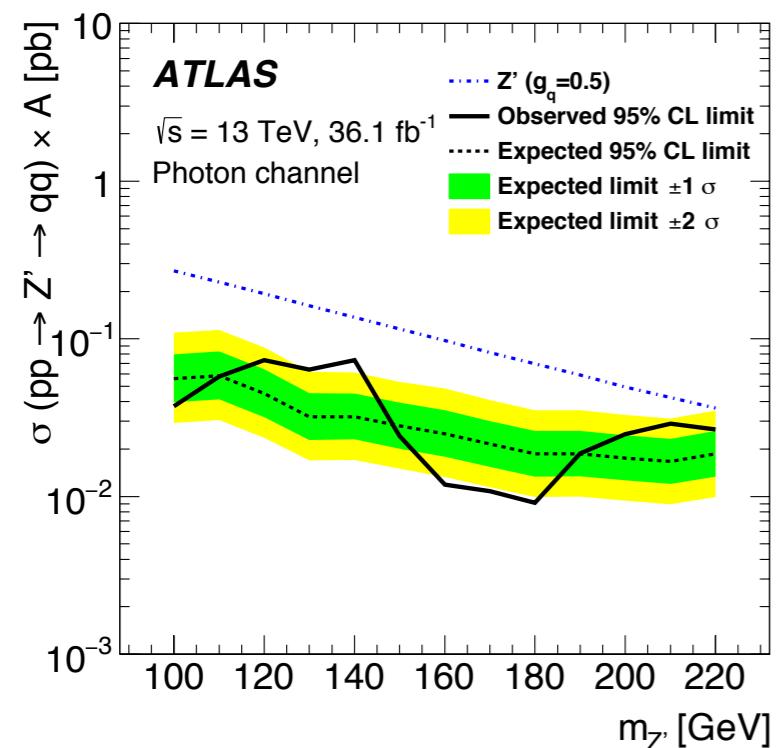
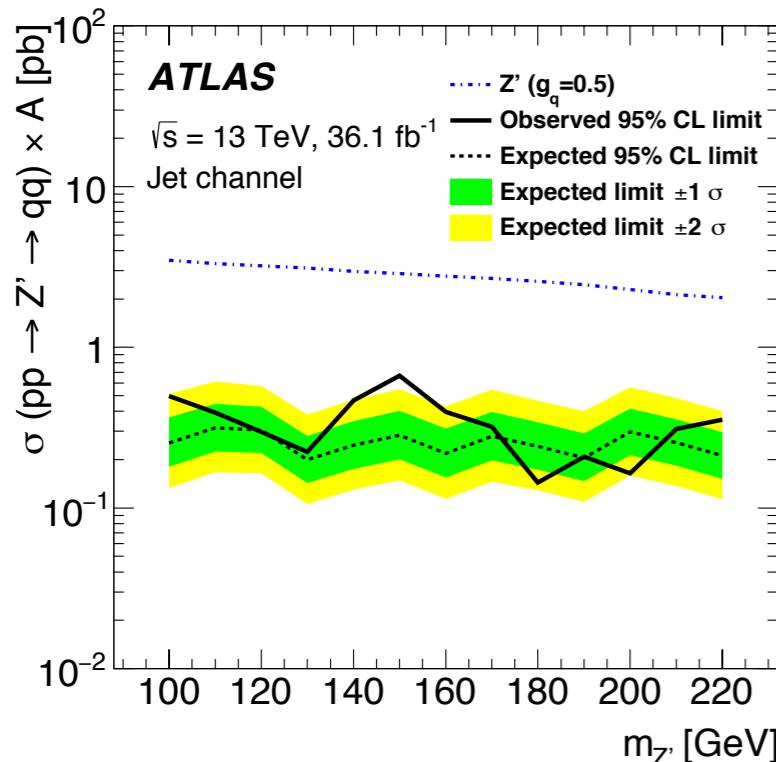


Excess most prominent in high- p_T samples, $p_T \in [900, 1000]$ GeV

Experimental results: ~ 100 GeV

ATLAS has excess at slightly larger masses, in $Z' + j$ and $Z' + \gamma$

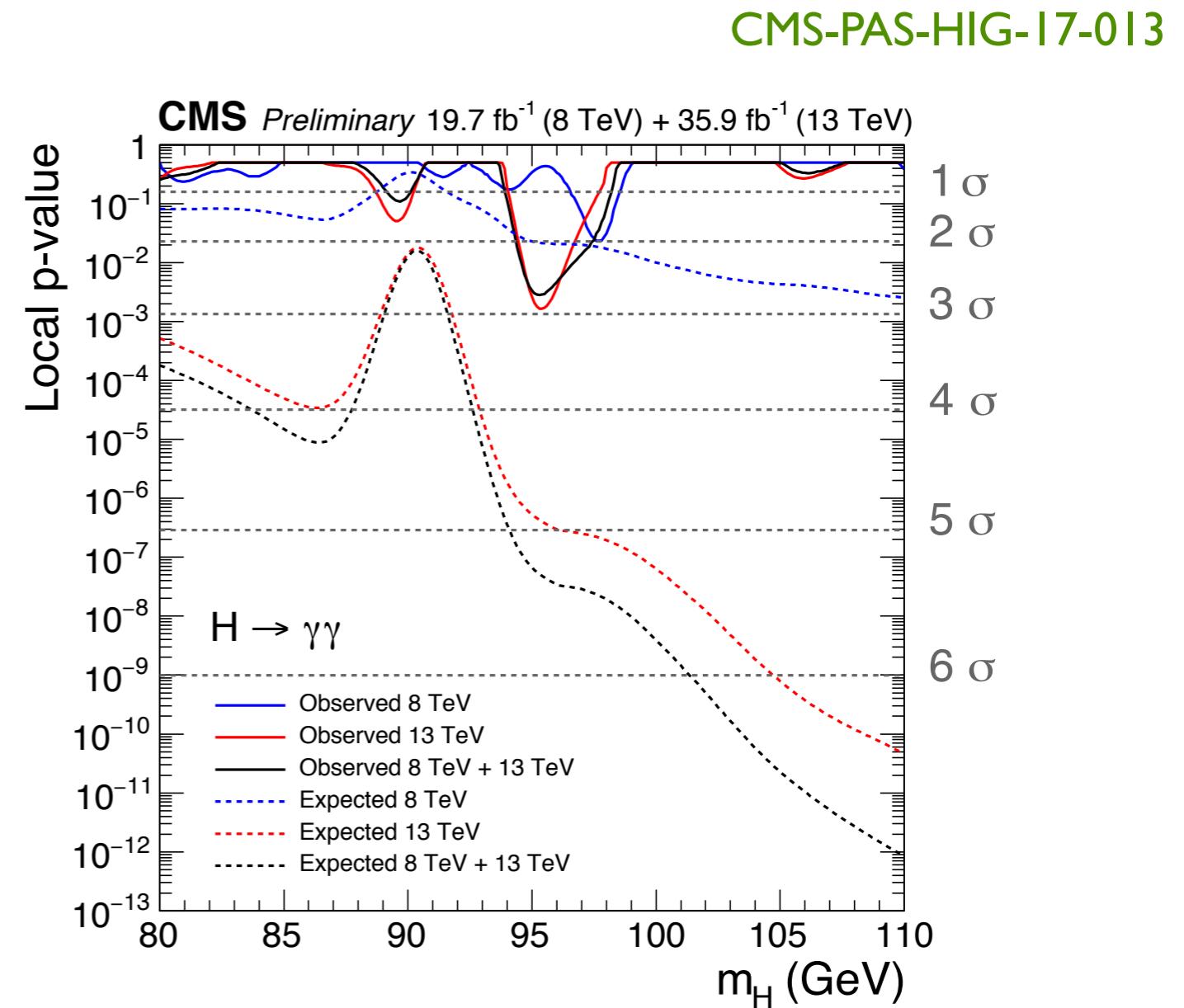
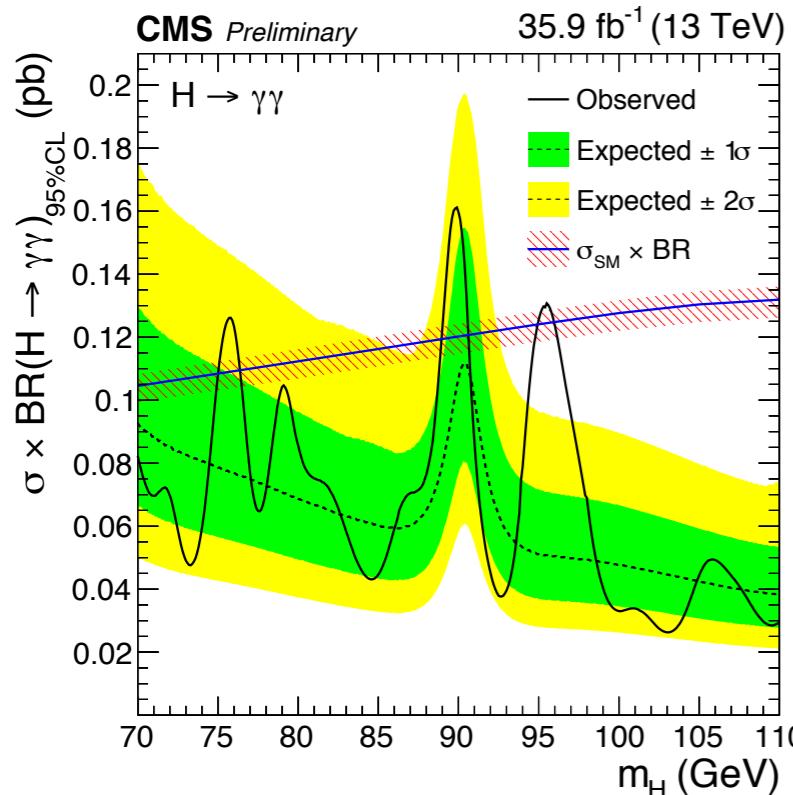
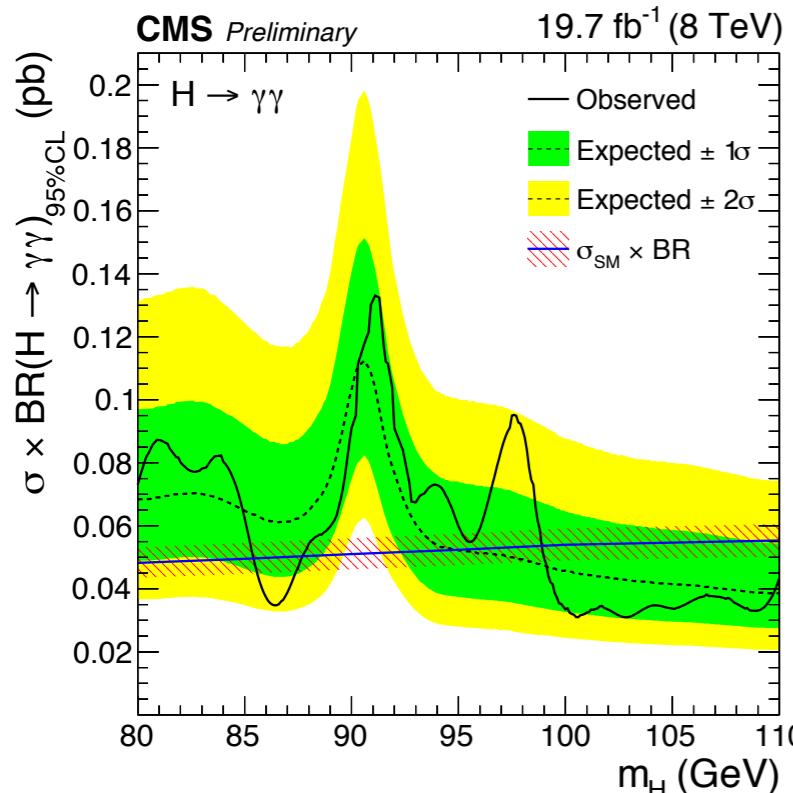
ATLAS I801.08769



Bump running? Checked, not likely ...

Experimental results: ~ 100 GeV

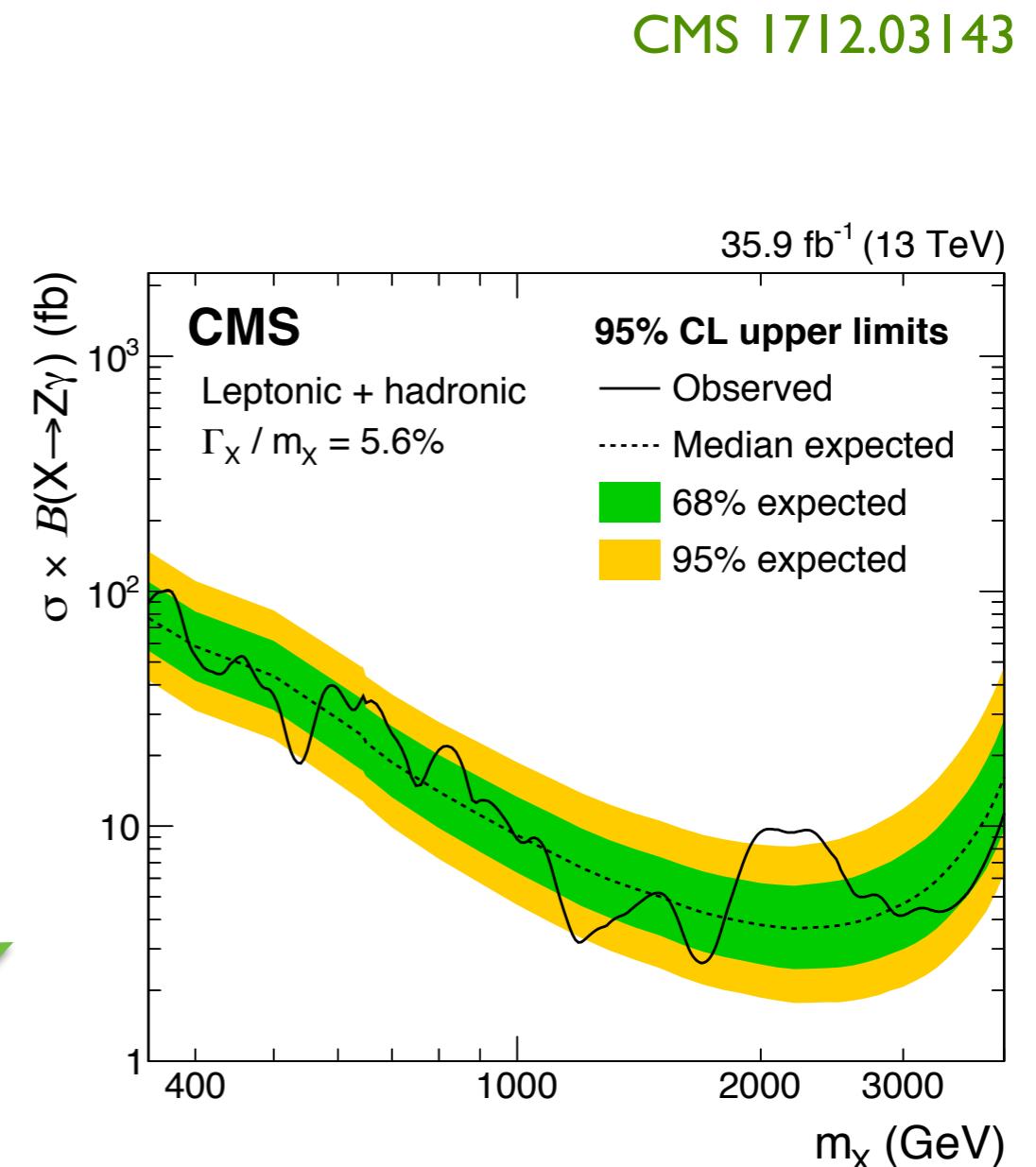
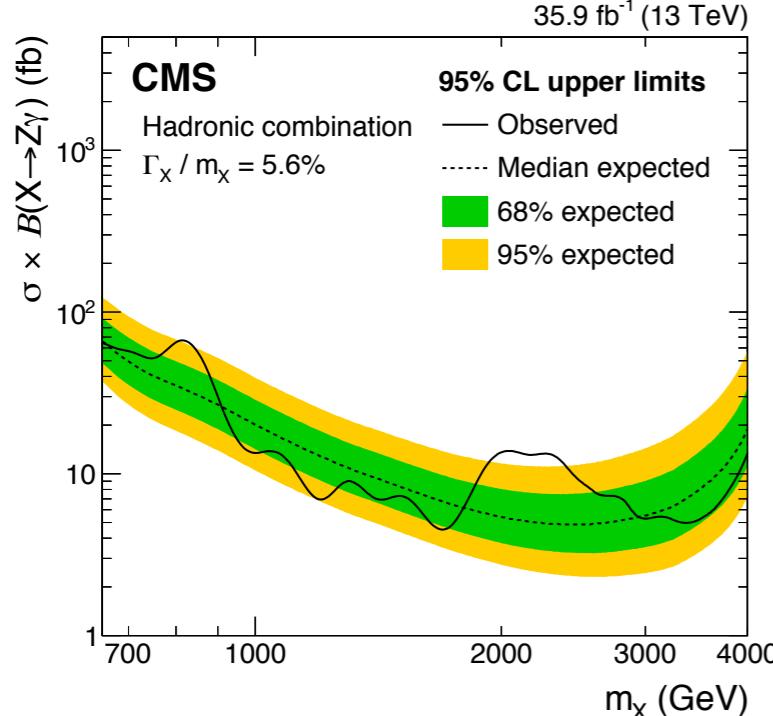
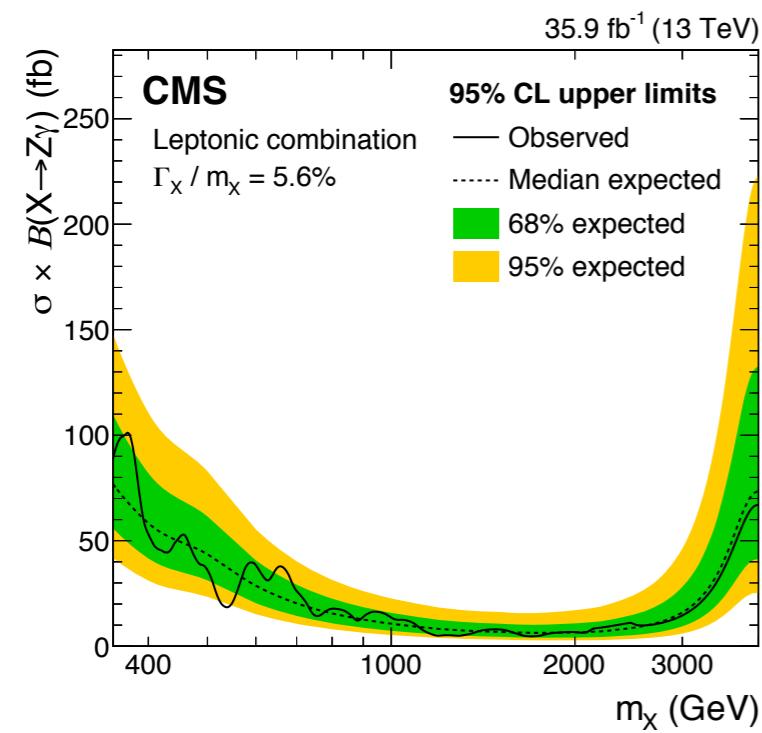
We have a CMS 95 GeV diphoton! [ATLAS does not look at such low masses]



8 TeV and 13 TeV excesses not at the same place, they do not add

Experimental results: 2 TeV

CMS search for $Z\gamma$ resonances finds 3.2σ excess at $M = 2$ TeV in hadronic channel $J\gamma$, no excess in leptonic channel [similar sensitivity].

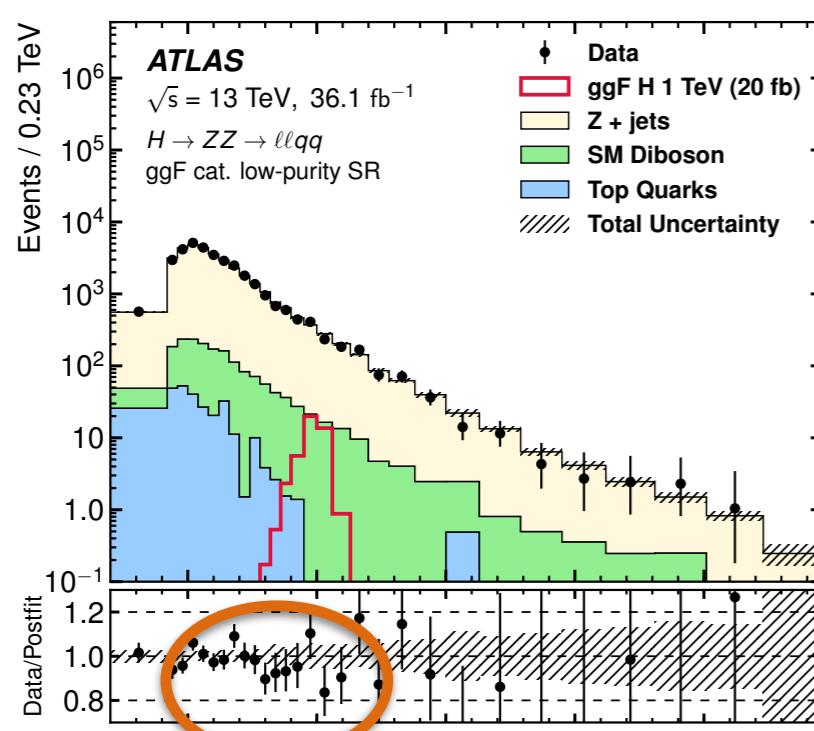
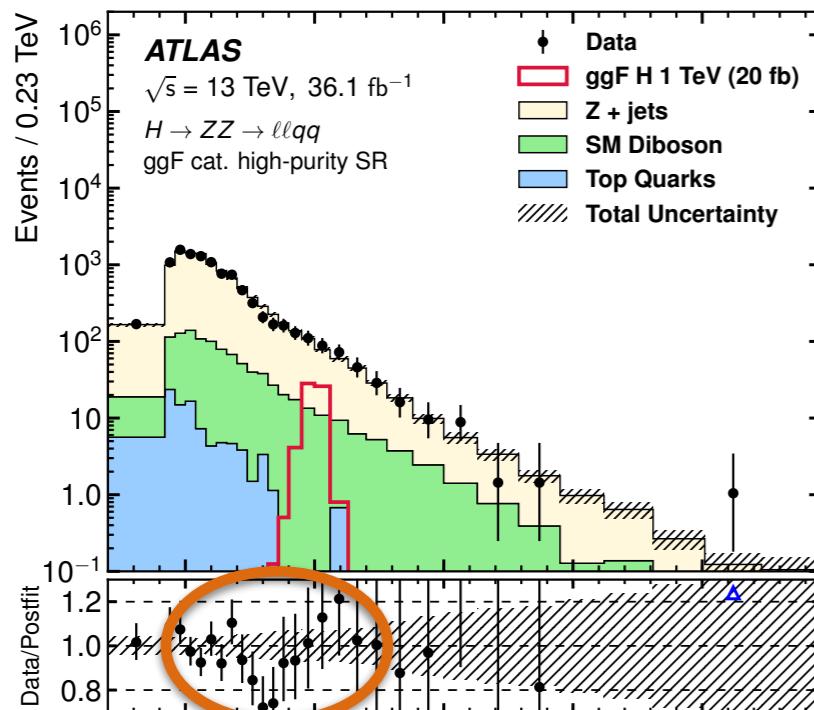


CMS 1712.03143

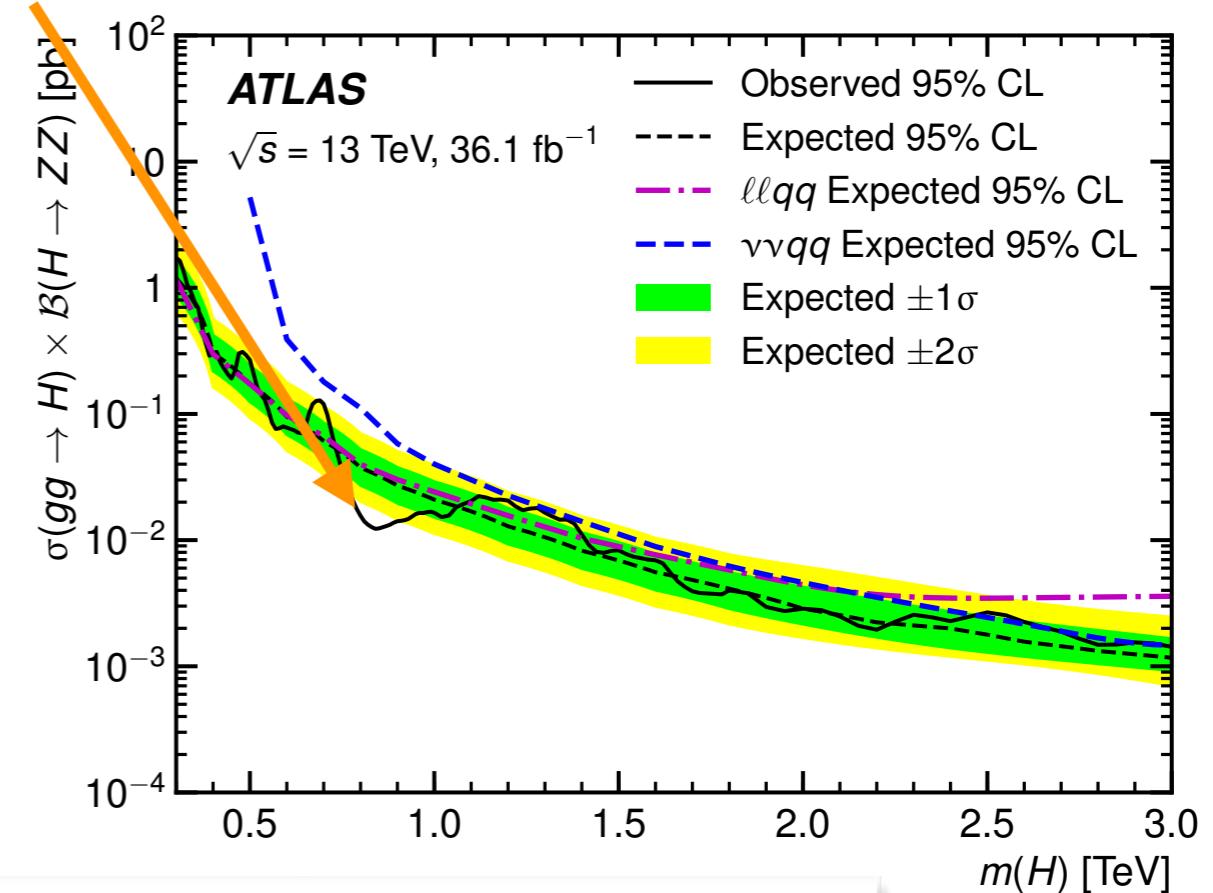
Experimental results: ~ 800 GeV

ATLAS search for ZZ resonances in ee / $\mu\mu$ + J channel has... big $\sim 3\sigma$ dip at 800 GeV!

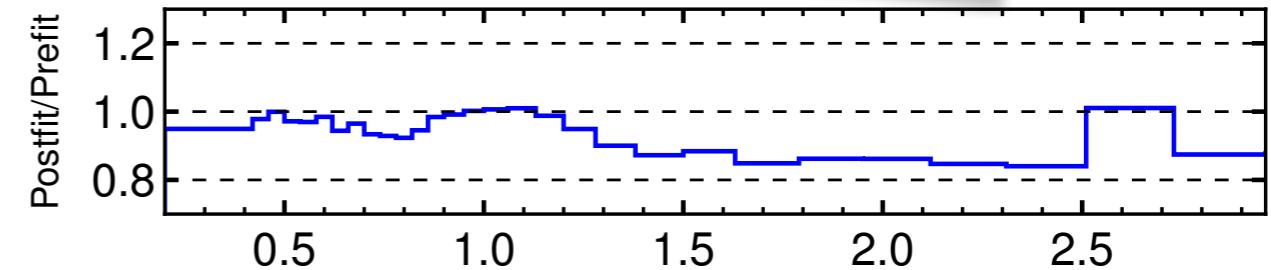
ATLAS 1708.09638



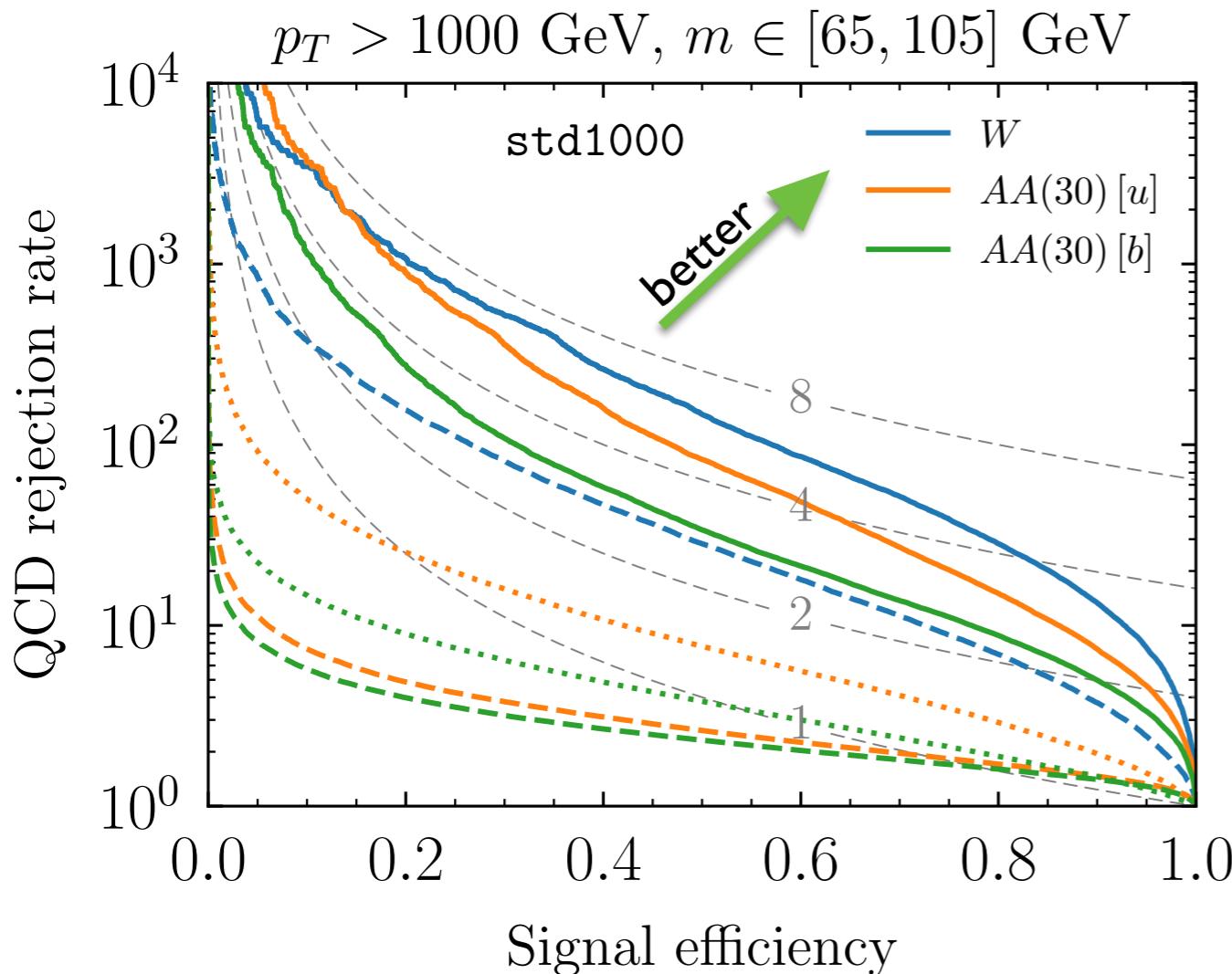
Combined with $\nu\nu + J$



If not merely statistical, dips indicate mismodeling



Comparison with τ ratios for particles with $M = 80$ GeV



Blue: W bosons

Green: stealth bosons $M_A = 30$ GeV

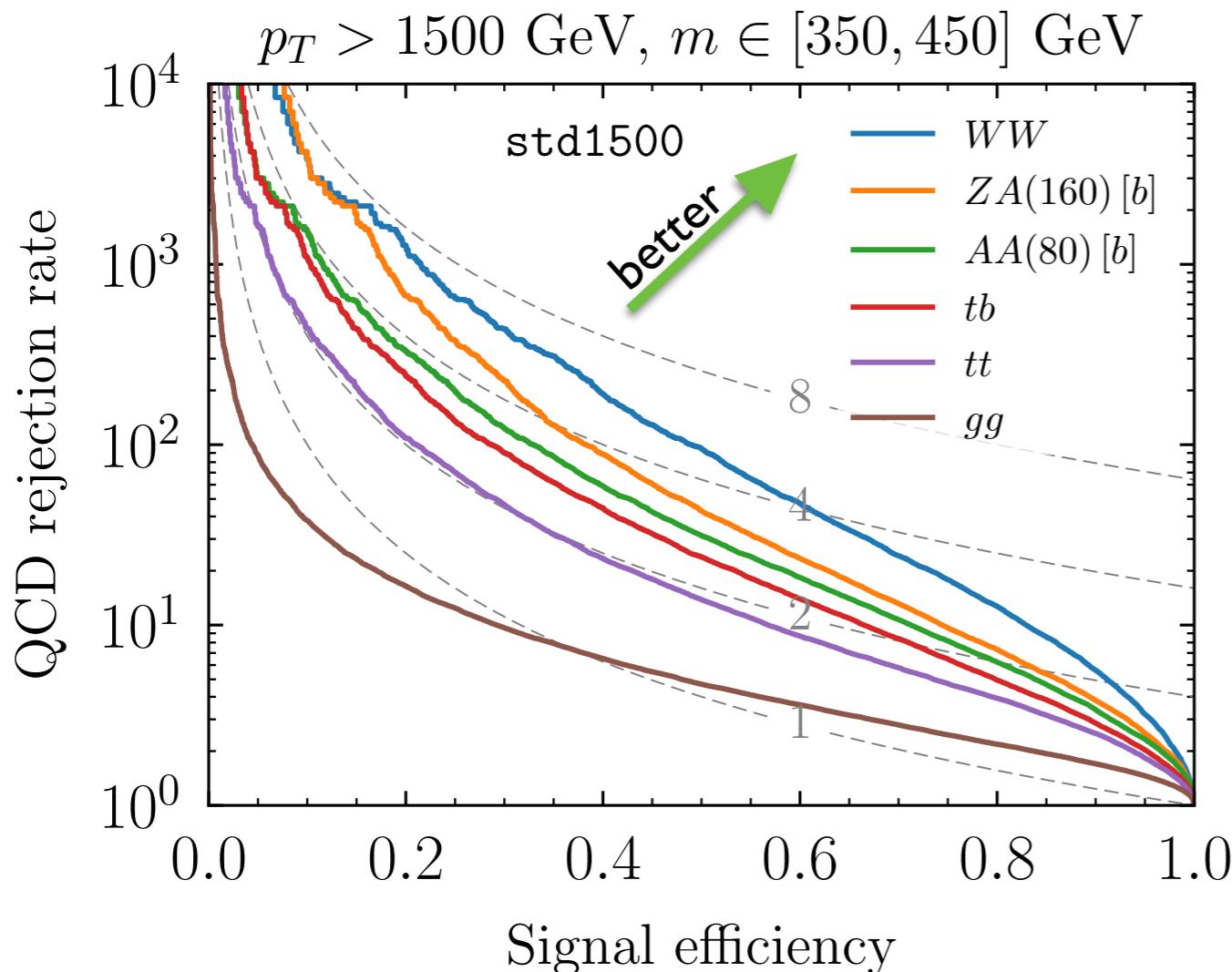
Orange: $H_I^0 \rightarrow uuuu$ $M_A = 30$ GeV

Dashed: τ_{21}

Dotted: τ_{42}

τ_{21} actually reduces the signal significance for stealth bosons, as could be guessed from slide 3

Example: tagger performance for particles with $M = 400$ GeV



Blue: $H_I^0 \rightarrow WW$

Red: $H^\pm \rightarrow tb \quad M_A = 30$ GeV

Green: $H_I^0 \rightarrow bbbb \quad M_A = 80$ GeV

Orange: $H_I^0 \rightarrow ZA \quad M_A = 160$ GeV

Purple: $H_I^0 \rightarrow tt \quad$ six-pronged jet!

Brown: $H_I^0 \rightarrow gg$

The tagger works well for various topologies, even for a six-pronged jet