



BOOST 2018

Jet Observables and Stops at 100 TeV Collider

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[10.1103/PhysRevD.96.036017](https://arxiv.org/abs/1704.03014) [[1704.03014](https://arxiv.org/abs/1704.03014)]

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Motivation for a new collider

Once HL-LHC is done. What's next? **Discovery Machine: 100 TeV Collider**

- Give the final verdict on fine-tuning in SM, down to 10^{-3} – 10^{-4} .
- An exploratory machine. For generic physics involving high mass states, a large centre of mass energy provides the most direct access to new physics!

[Arkani-Hamed, Han, Mangano, Wang, 1511.06495]

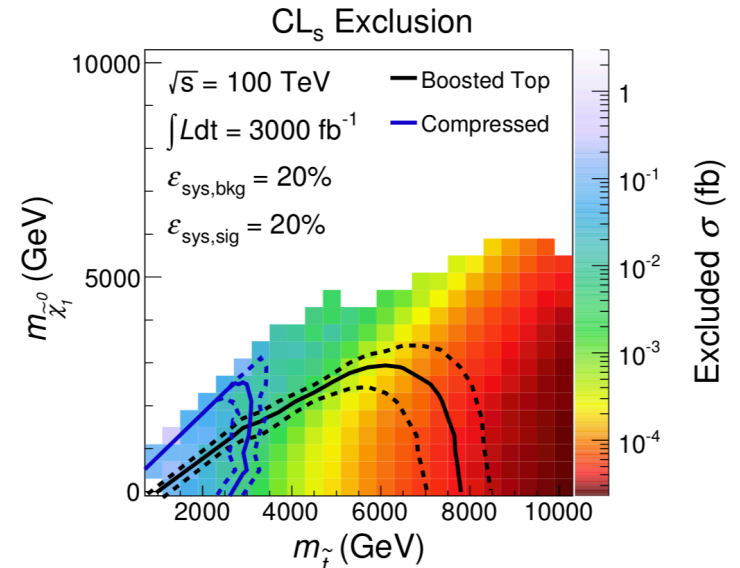
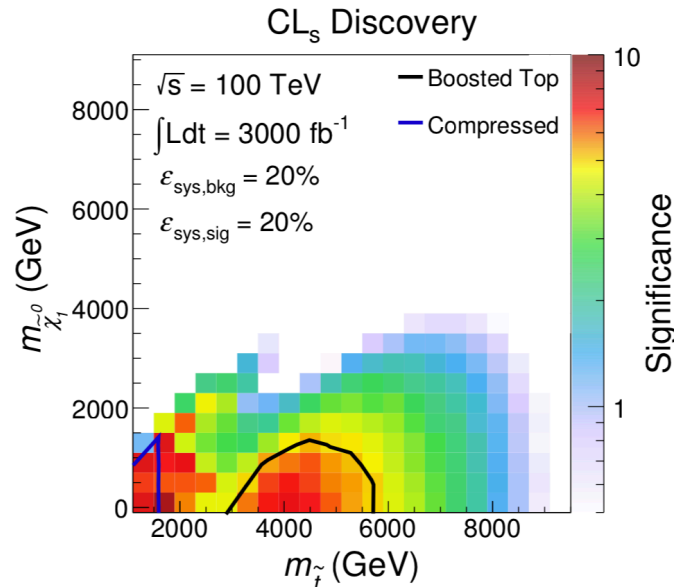
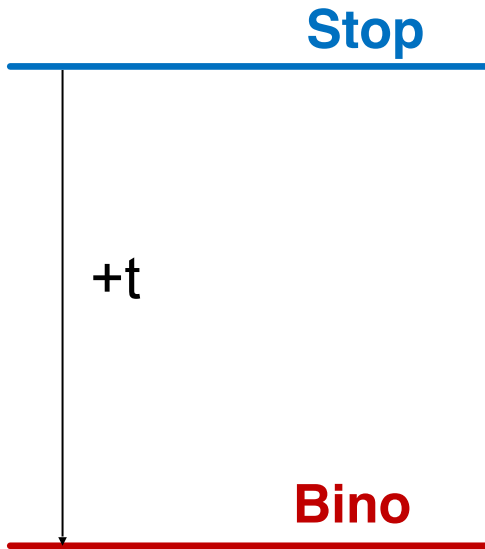
In a $\sqrt{s} = 100$ TeV hadron collider,

Very hadronic environment;

SM objects are boosted and collimated.

→ Jet substructure techniques are needed to extract physics!

Previous work

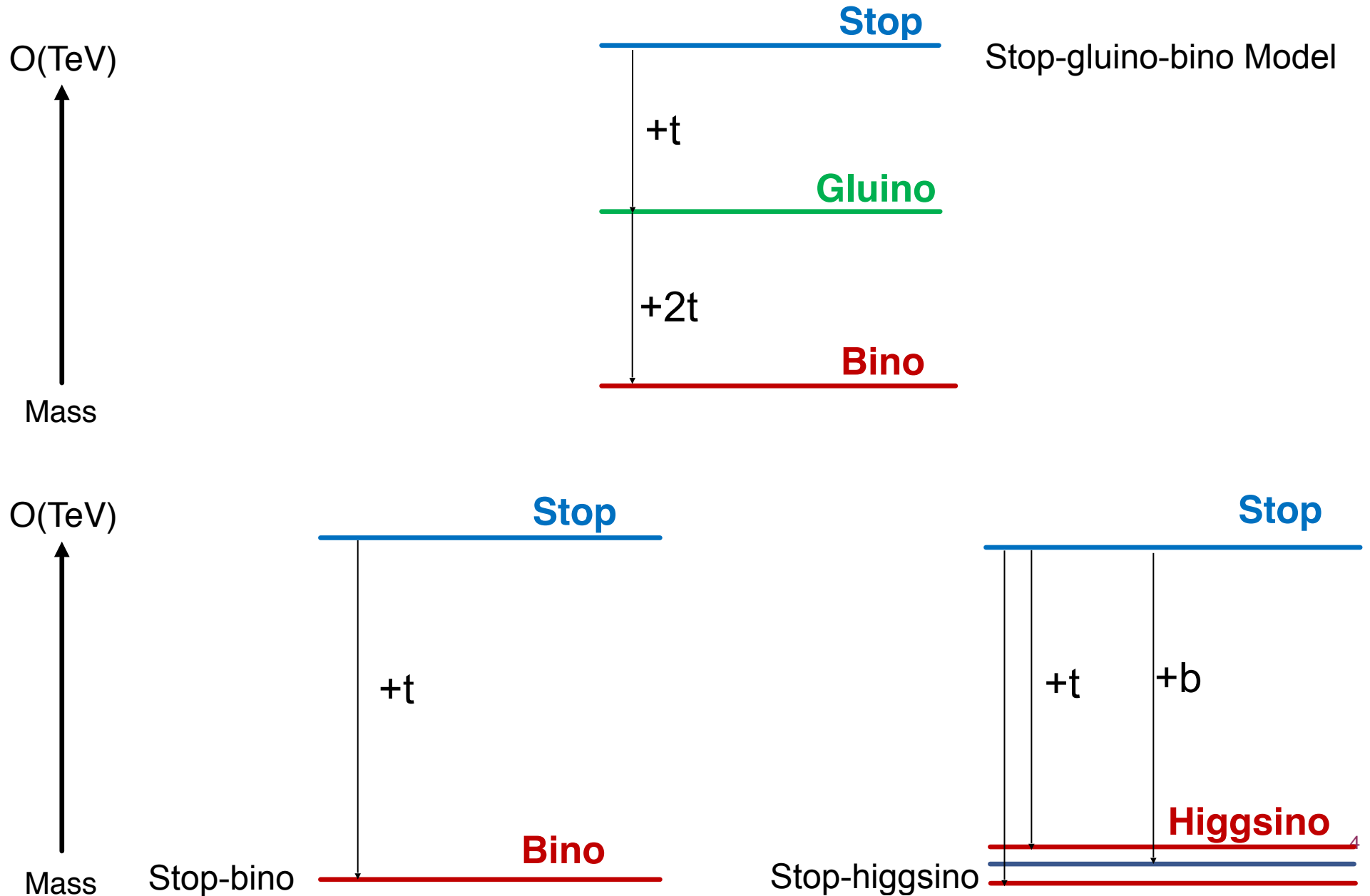


Previous study investigated simple stop-LSP model in $\sqrt{s} = 100$ TeV collider using mostly kinematics variables.

[1406.4512, Cohen, D'Agnolo, Hance, Lou, Wacker]

We will investigate the reach of more complicated models with stop-gluino-LSP and higgsino LSP scenario.

Simplified model's mass spectrum



Method

Cross-section:

SUSY process \rightarrow NLO + NNLL

SM process \rightarrow Madgraph LO

Event generation:

Madgraph5 \rightarrow Parton-level event

Pythia8 \rightarrow parton-shower and hadronization

Delphes \rightarrow Detector

SM Background:

QCD, $t\bar{t}$, W/Z + jets, $t + W/Z$ +2 jets

$t\bar{t} + W/Z$ +1 jet



$\tilde{t} - \tilde{g} - \tilde{\chi}^0$ Models

Stop

stop-gluino-LSP model

+t

Gluino

Two production channels (stop-pair and stop-gluino associated)

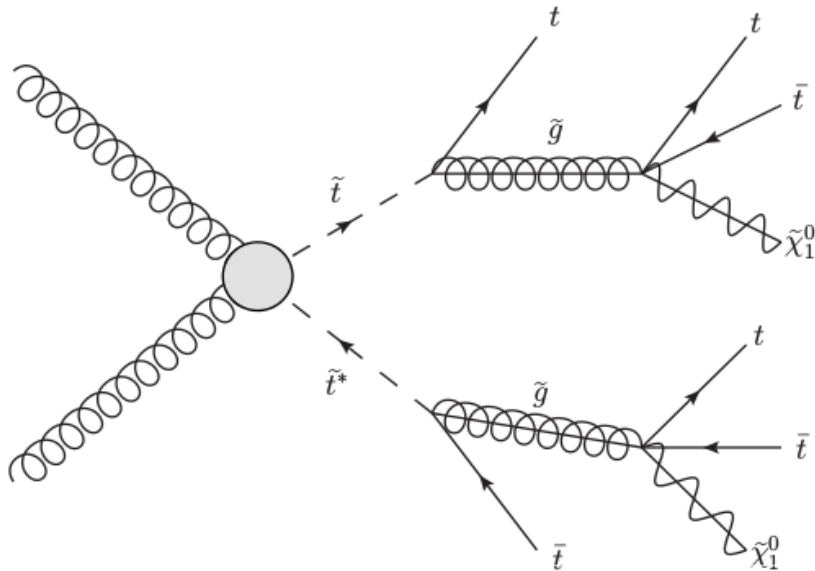
+2t

Bino

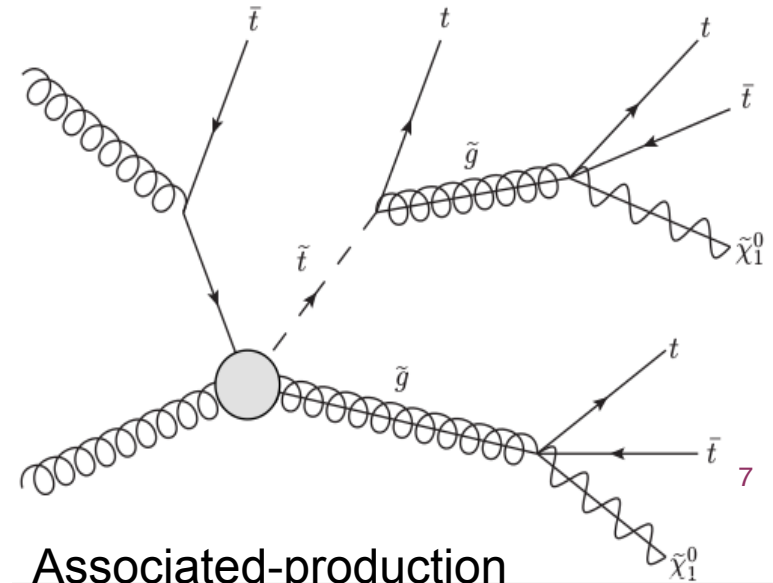
Final states: 6t + MET

The busy jet environment makes hard MET cut difficult

Stop-gluino-bino Model



Pair-production



Associated-production

Cut Flow

Kinematic cuts

$H_T > 4 \text{ TeV}, \text{MET} > 250 \text{ GeV}$

No $p_T > 35 \text{ GeV}$ isolated lepton

200 GeV jets > 6 and ISRs (p_T hierarchy $< 0.2, |\eta| > 2$) < 2

$|\Delta\phi(j, \cancel{E}_T)| > 0.5$ for any jet with $p_T > 500 \text{ GeV}$



$\tilde{t}\tilde{t}^* + \tilde{t}\tilde{g} = 6.5\text{k events}$

QCD = 10^7 events + other SM background!

Top-tagging ($m_j, \tau_{3,2}, x_u$) Need hadronic top tag.
Cannot sacrifice leptonic branching ratio



Refined HT and MET cut

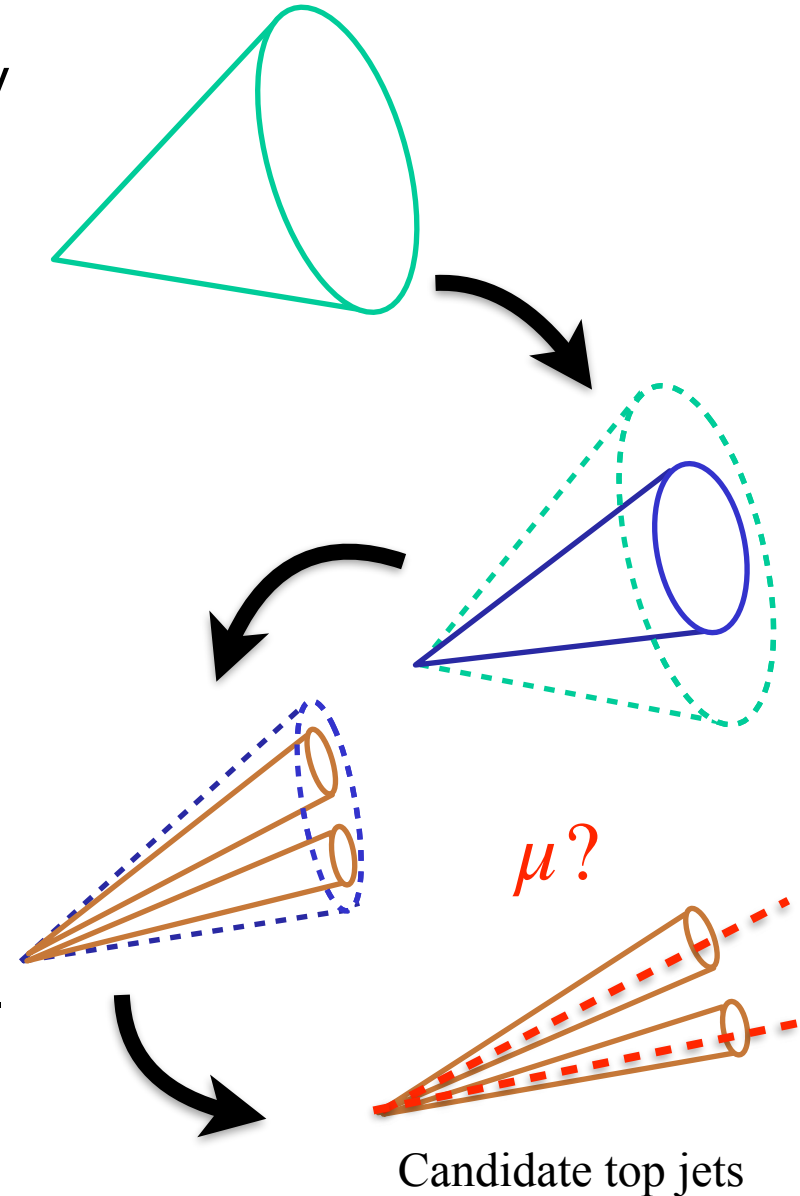
Top-tagger and Jet clustering algorithm

[1503.03347, Larkoski, Maltoni, Selvaggi]

1. Cluster a C/A fat jet with $R=1.0$ and $p_T > 200$ GeV
2. Scale down the jet by reclustering anti- k_T jet with dynamical jet radius and a p_T cut

$$R(p_T) = \frac{C m_t}{p_T} \quad C \sim O(1) \text{ constant}$$

3. Repeat (2.) with smaller C's to isolate individual tops
4. The scaled-down anti- k_T jets becomes candidate top jet
5. Look for $p_T > 200$ GeV muon within the jet radius.
If so, \rightarrow **leptonic top tagger**
else, \rightarrow **hadronic top tagger**



Jet mass (m_j) discriminant

Reconstructing the top mass from the **track-based** jet mass:

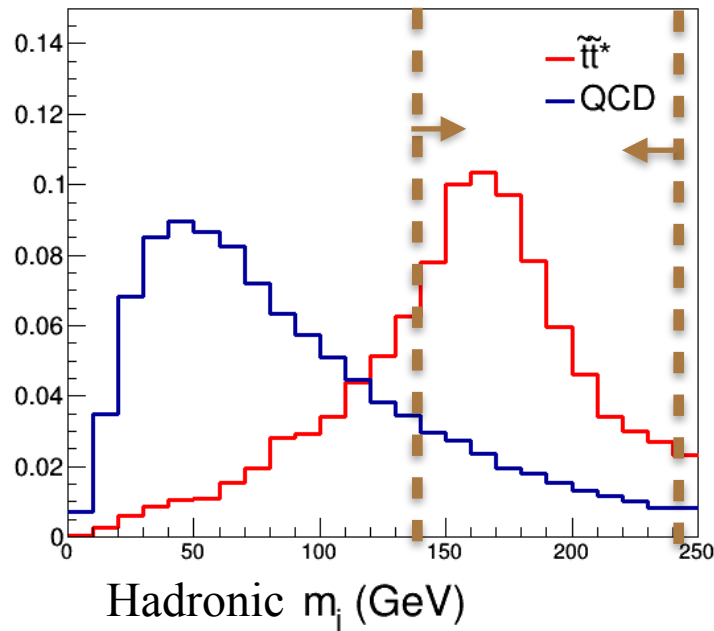
$$m_j = m_j^{(\text{track})} \frac{p_T^{(\text{total})}}{p_T^{(\text{track})}}$$

(Calorimeter jet resolution too low to resolve m_j)

$m_j \approx m_{\text{top}}$ for a top jet

Hadronic top tagger

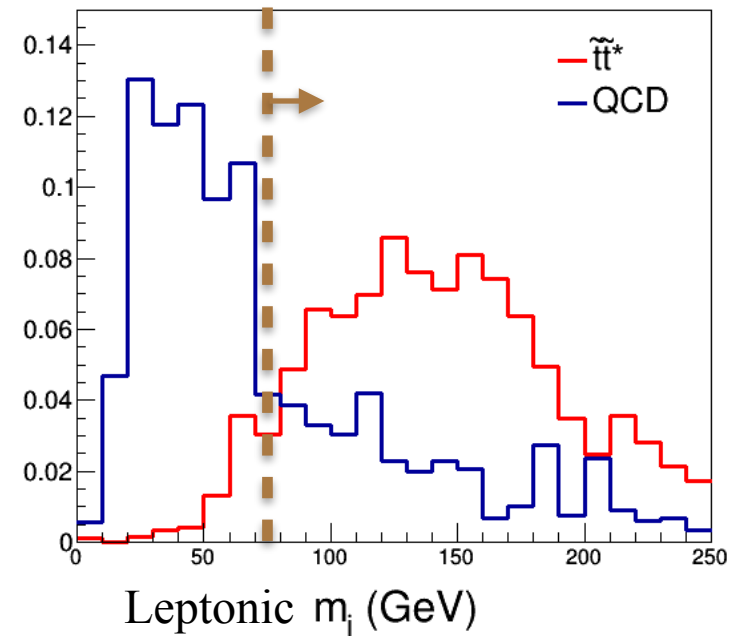
$140 \text{ GeV} < m_j < 240 \text{ GeV}$



Leptonic top tagger

**MET from neutrino forbid
complete mass reconstruction**

$m_j > 75 \text{ GeV}$



Hadronic top-tagger: N-subjettiness (τ_N)

N-subjettiness is a measure of how much a jet is an N-prong object. We recluster a jet to N subjects and find the distance of the i^{th} particle from the nearest subject:

$$\tau_N^{(\beta)} = \frac{1}{R_0} \sum_i p_{T,i} \min(\Delta R_{1,i}^\beta, \Delta R_{2,i}^\beta, \dots, \Delta R_{N,i}^\beta)$$

$p_{T,i}$ — transverse momentum of i^{th} jet constituent
 $\Delta R_{k,i}$ — distance between k^{th} subject and i^{th} constituent

We use $\beta=1$ in our analysis.

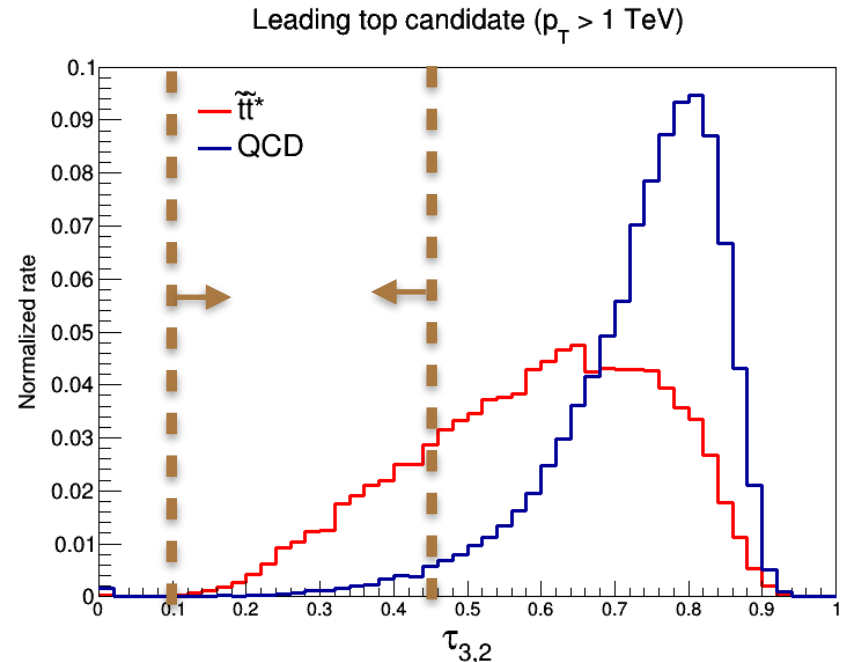
Hadronic top is a 3-prong object

$$t \rightarrow Wb \rightarrow q\bar{q}b$$

Top-jet will have small τ_3 and large τ_2 .

QCD jet will have evenly distributed τ_3 and τ_2 .

τ_3/τ_2 is a good discriminant variable.
 $0.1 < \tau_3/\tau_2 < 0.45$ is the top-tag window.



QCD vs hadronic top

Leptonic top-tagger: Mass-drop (x_μ)

Leptonic top decays with a hard muon carrying a significant portion of energy-momentum $t \rightarrow b\mu\nu$. Mass-drop looks at the portion of muon contribution to jet-mass:

$$x_\mu = 1 - \frac{m_{j\mu}^2}{m_j^2}$$

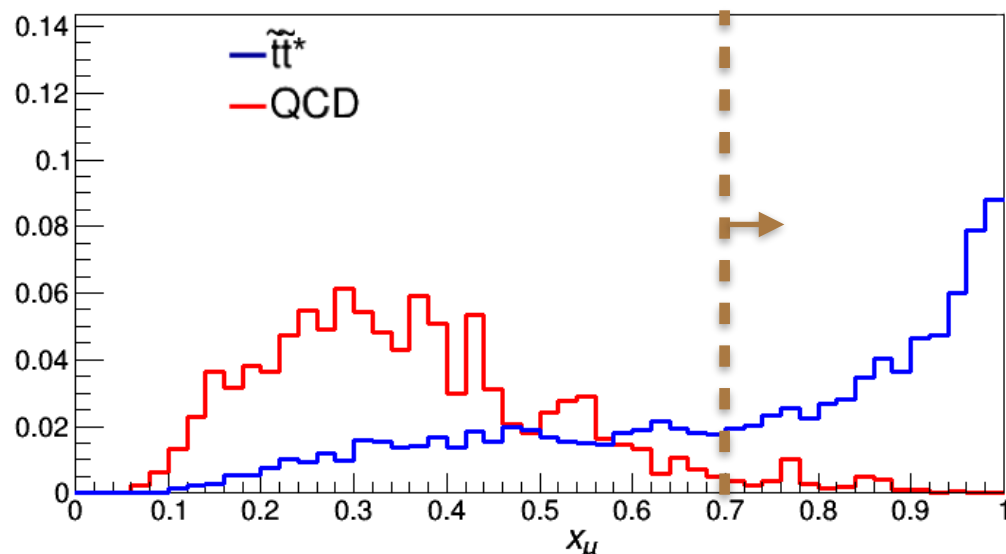
m_j — full jet mass

$m_{j\mu}$ — jet mass without muon

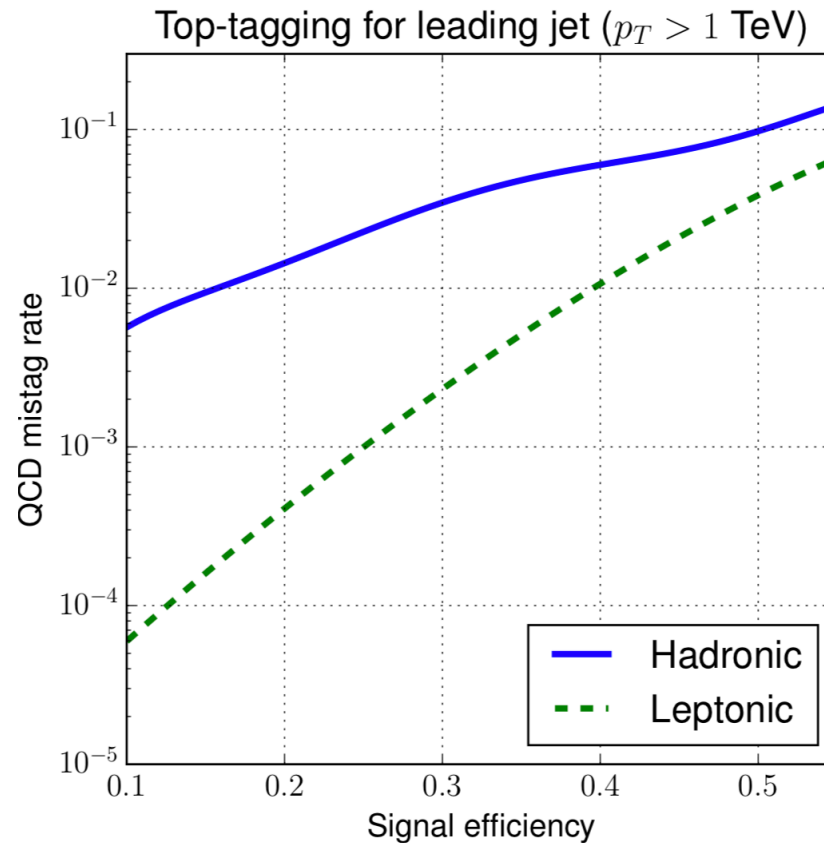
Leptonic top will fail to reconstruct mass once muon is removed: $x_\mu \rightarrow 1$.

QCD jet mass does not tend to change since the muon is just a part of radiation.

Acceptance is $x_\mu > 0.7$



Tagging Efficiency

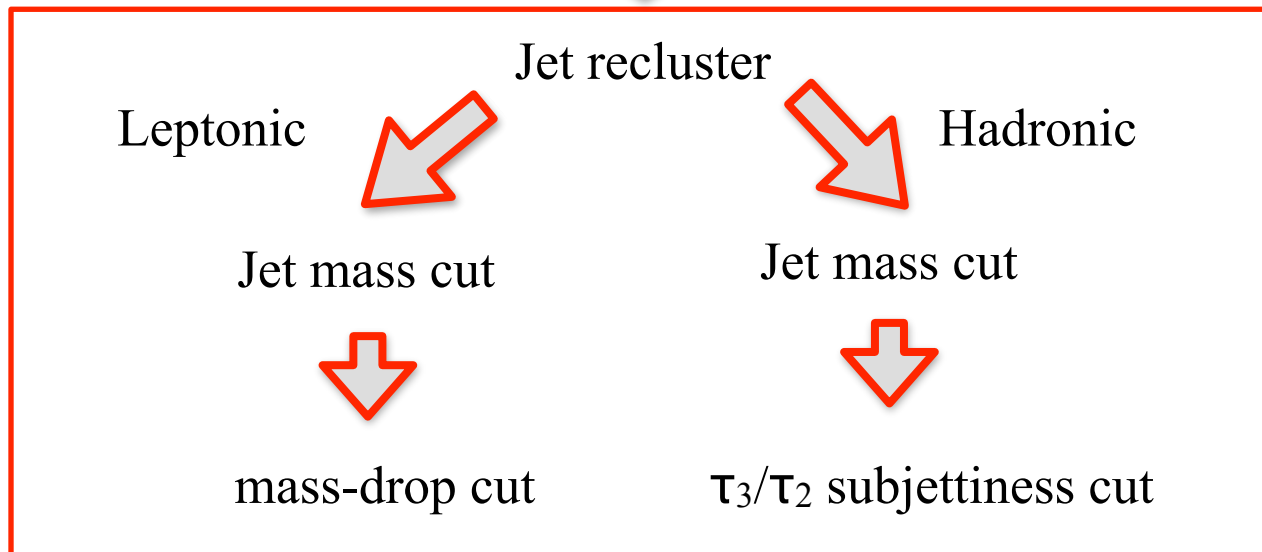


QCD mistag vs signal efficiency

Cut Flow Recap

$H_T > 4 \text{ TeV}$, $\text{MET} > 250 \text{ GeV}$
No $p_T > 35 \text{ GeV}$ isolated lepton
Number of jet and ISR cut
 $|\Delta\phi(j, \vec{E}_T)| > 0.5$ for any jet with $p_T > 500 \text{ GeV}$

Kinematic cuts



Top-tagger X 3

Refined H_T and MET cut

Stop mass reach

$m_{\tilde{t}}$ (TeV)	S	B	σ
5.5	10.7	1.7	6.3
6.0	10.0	6.7	3.5

10% systematics

3σ can be reached for the benchmark point of 6 TeV stop and 2.75 TeV of gluino at $L = 30 \text{ ab}^{-1}$.

An increased L is needed due to high the high SUSY background.

Gluino mass Reach

A gluino mass reach to 11 TeV at $L = 3 \text{ ab}^{-1}$ (pair-production channel).

$m_{\tilde{g}}$ (TeV)	Top tags	S	B	σ
10.0	2	12.4	0.8	8.1
11.0	1	13.8	9.5	3.9

10% systematics

$\sim 2 \text{ TeV}$ improvement compared to the same sign Di-lepton gluino search in [1311.6480].

$\tilde{t} - \tilde{B}$ Model and $\tilde{t} - \tilde{H}$ Model

Search Strategy Stop-Bino/Higgsino

Stop

Stop

Which one is the signal?



Bino

Higgsinos

$$\tilde{t} \longrightarrow t\tilde{\chi}_1^0$$

$$\tilde{t} \longrightarrow b\tilde{\chi}^\pm \longrightarrow b\tilde{\chi}_1^0 j^{(\text{soft})}$$

$$\tilde{t} \longrightarrow t\tilde{\chi}_2^0 \longrightarrow t\tilde{\chi}_1^0 j^{(\text{soft})}$$

$$\tilde{t} \longrightarrow t\tilde{\chi}_1^0$$

- The environment is clean. Hard MET cut is possible.
- Stop-bino model always decay to top.
- Stop-higgsino model decay 50% of time to top and 50% to bottom

Search Strategy Stop-Bino/Higgsino

Two anti- k_T jets with $p_T > 1$ TeV;
No isolated lepton with $p_T > 1$ TeV;
 $|\Delta\phi(j, \cancel{E}_T)| > 0.5$ for any jet with $p_T > 500$ GeV;
MET > 3 TeV

Kinematic cuts



Muon $p_T > 200$ GeV inside one of the jets



Muon-in-jet does not select leptonic top.
Boosted b-jet also contains hard muons!

Further selection on hadronic jets needed!

Boosted top / b-jet tagger

Search Strategy Stop-Gluino-LSP

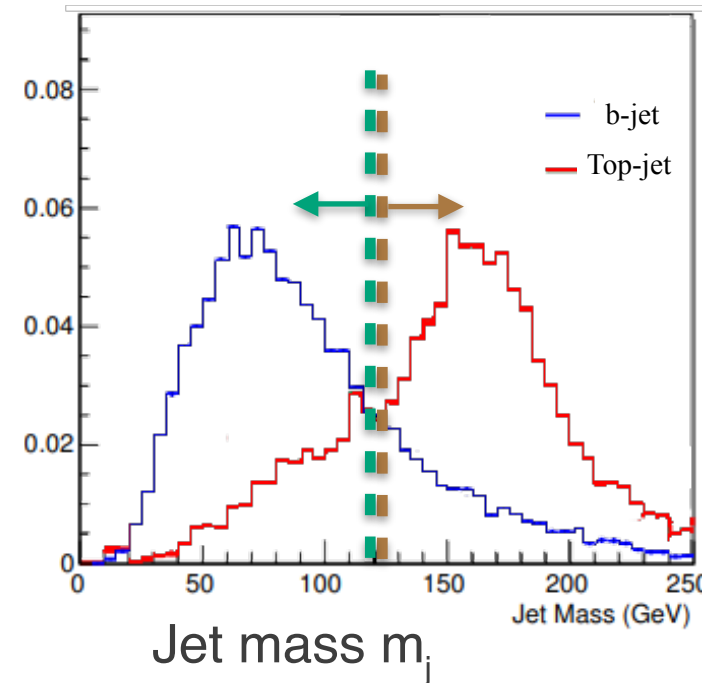
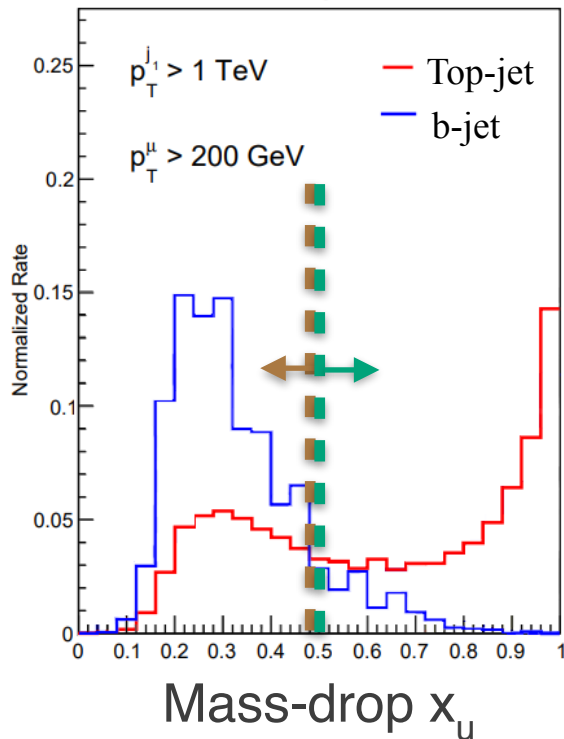
After passing through the muon-in-jet requirement. We partition the events into two possibilities using jet mass and mass-drop:

Boosted top jet ($\tilde{t} \longrightarrow t\tilde{\chi}^0$): $m_j > 120$ GeV **OR** $x_u > 0.5$

Boosted b-jet ($\tilde{t} \longrightarrow b\tilde{\chi}^\pm$): $m_j < 120$ GeV **AND** $x_u < 0.5$

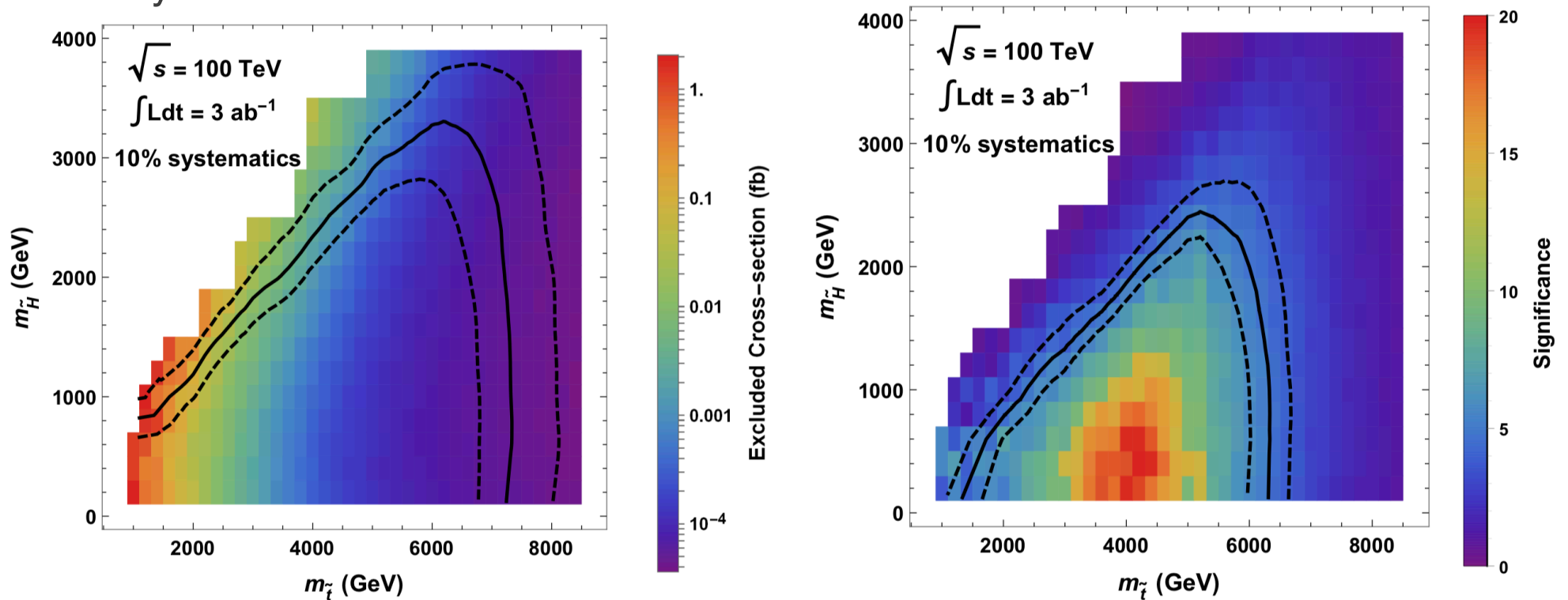
Hadronic top jet

Leptonic top jet



Stop-higgsino Mass Reach

The discovery/exclusion contours for stop-higgsino model with an integrated luminosity $L = 3 \text{ ab}^{-1}$.



The solid lines are 5σ discovery contour (left) and exclusion at 95% C.L.(right). The dashed lines are the $\pm 1\sigma$ boundaries.

The stop-bino and stop-higgsino model signature differs in the b-jet signature.

We define the variable

$$r_- = \frac{N_b - N_t}{N_b + N_t}$$

N_b = # of boosted b-tagged events

N_t = # of boosted top-tagged events

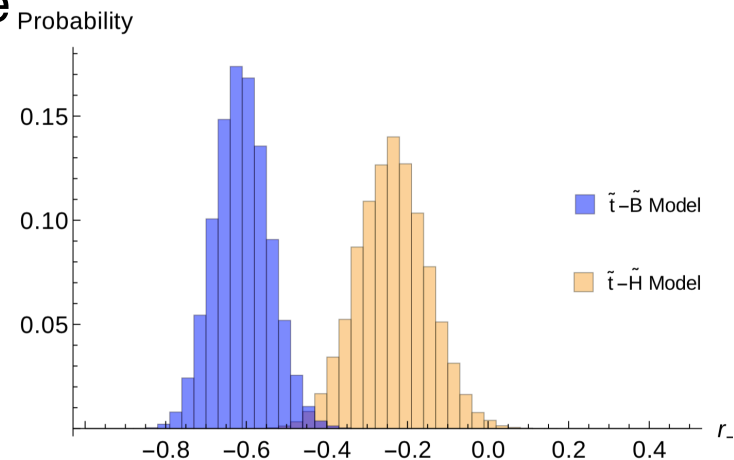
Stop-higgsino has 50% b-jet and 50% top jet.

$r_- \sim 0$

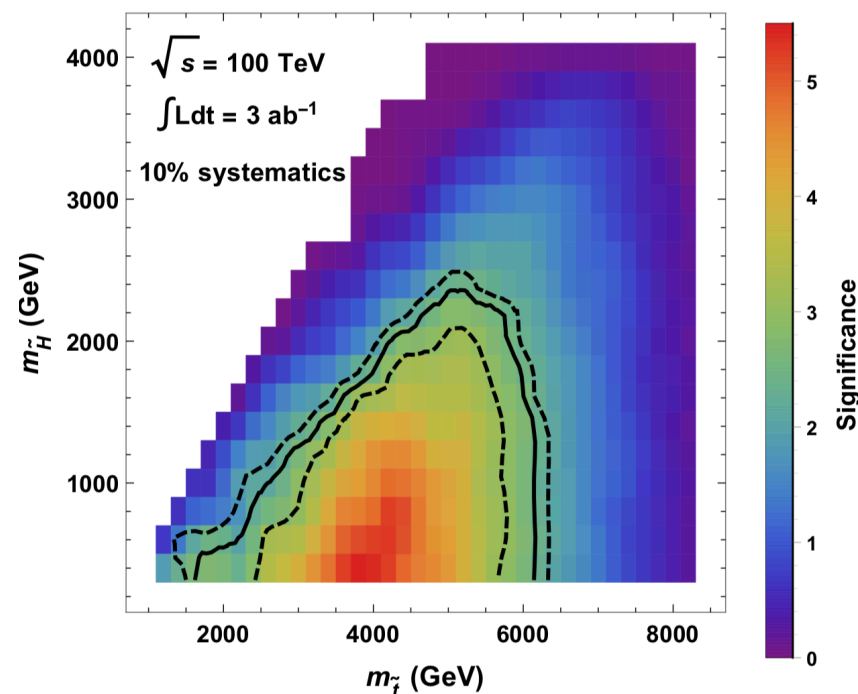
Stop-bino 100% top jet. Hence $r_- \sim -1$

Model-distinguishability Reach:

$$\{m_{\tilde{t}} \sim 6 \text{ TeV}, m_{\tilde{\chi}} \sim 2 \text{ TeV}\}$$



r_- distribution over the life time of the experiment



95% confident level

Summary and future work

- Stop-Gluino-LSP model mass reach 6 TeV ($L = 30 \text{ ab}^{-1}$). Gluino mass reach 11 TeV ($L = 3 \text{ ab}^{-1}$). Stop-Bino/Higgsino discovery mass reach at 7 TeV, model identification reach at 6 TeV ($L = 3 \text{ ab}^{-1}$). Yet to be improved by BDT or NN!
- Implement more sophisticated top-tagging and boosted b-tagged technologies. [1707.06741, Han, Son, Tweedie], [1511.05990, Pedersen and Sullivan]
- A 100 TeV collider will extend our understanding to the naturalness of Standard Model and help exploring new physics.
- Jet substructure technique is a necessary and powerful tool to extract physics from a 100 TeV collider. Help make the case for future colliders.



Back-up Slides

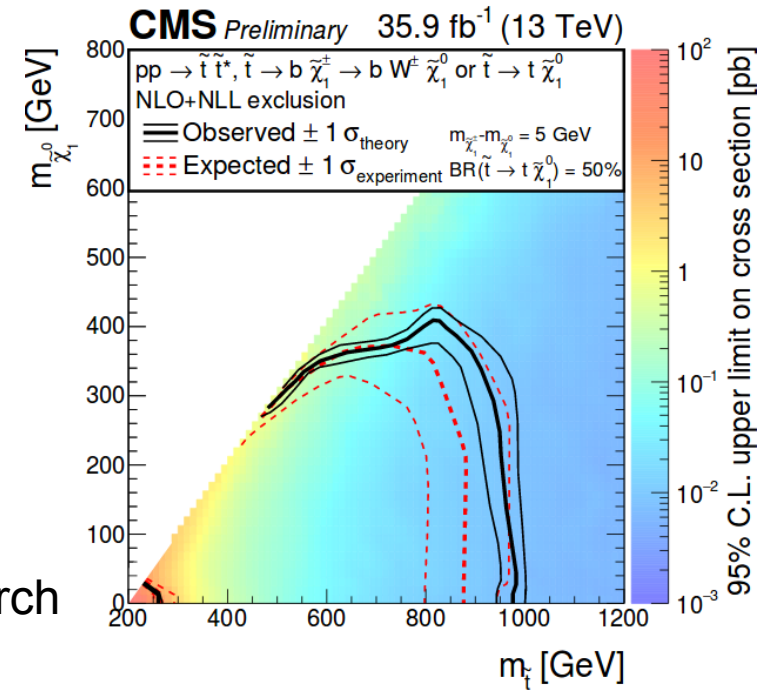
LHC limits

[SUS-16-050, CMS collaboration]

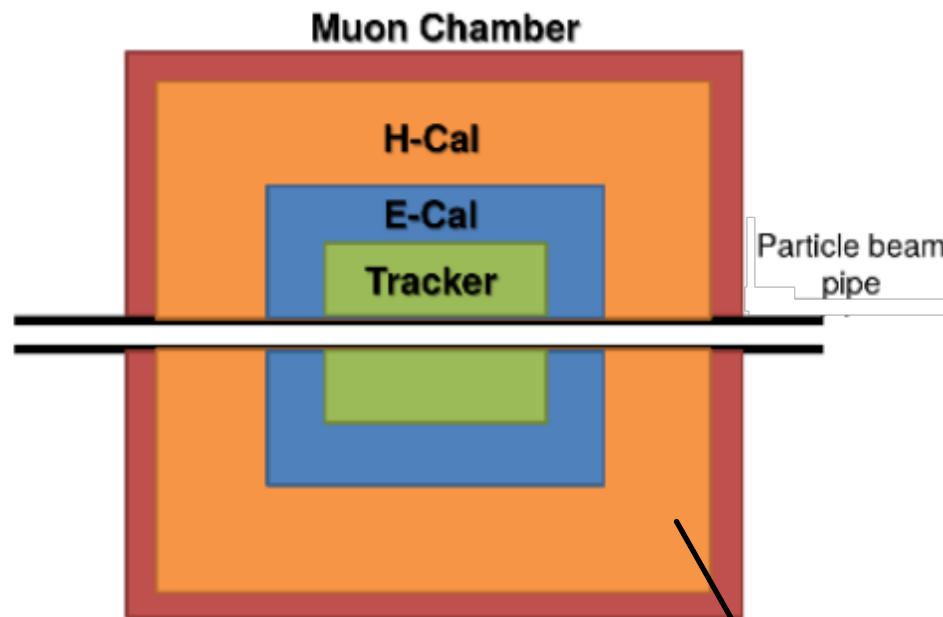
$\sqrt{s} = 3$ TeV LHC constraint

- Stop ~ 1 TeV
- Weak LSP ~ 500 GeV
- Gluino ~ 2 TeV

MT2, top, 0L search



Detector design

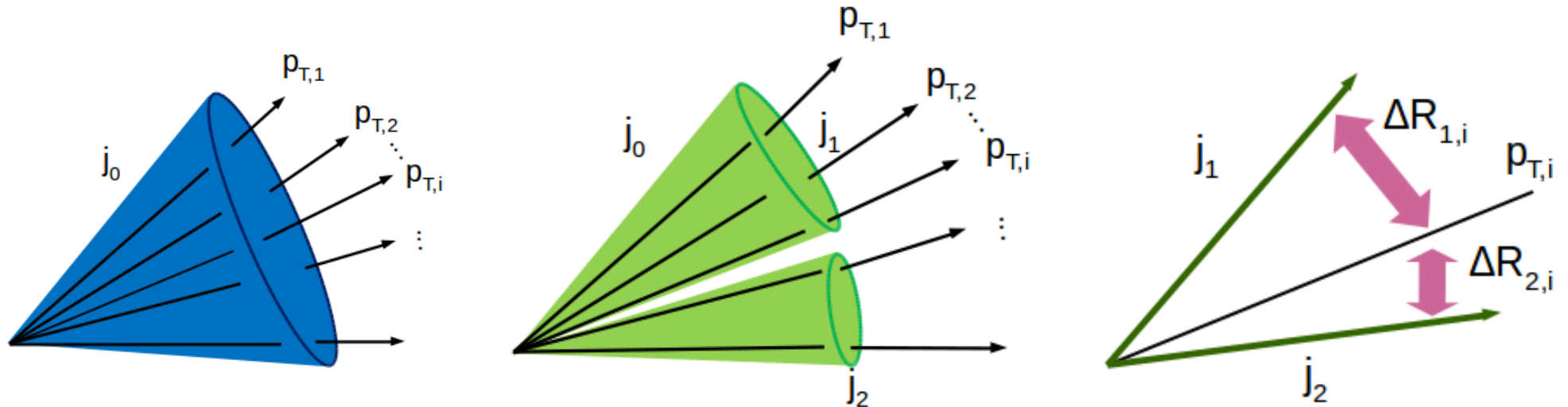


A common design for a particle detector

30 cells in $|\eta| < 2.5$, 5-10 deg per cell

How much does jet “looks like” from a N-body decay?

N-subjetiness (τ_N) \rightarrow how close are the jet constituents are from N sub-jet axes in the jet cone.



Identify the jet constituents to be reclustered



Recluster N subjets



Find the distance $\Delta R_{k,i}$ between the i -th constituents and k -th subjet axis

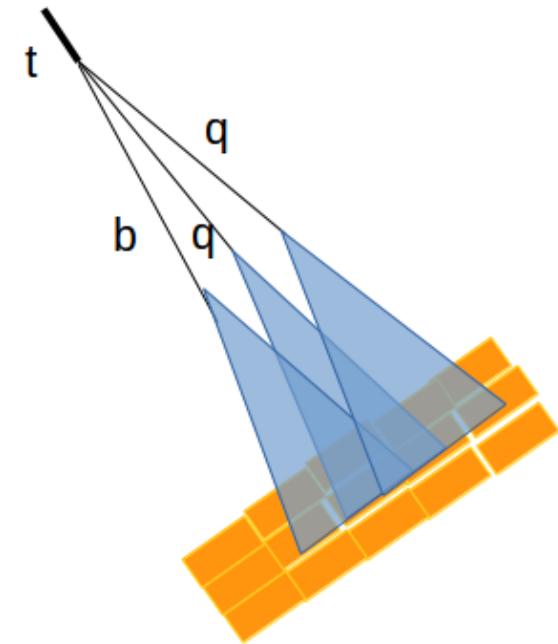
$$\tau_N^{(\beta)} = \frac{1}{R_0} \sum_i p_{T,i} \min(\Delta R_{1,i}^\beta, \Delta R_{2,i}^\beta, \dots, \Delta R_{N,i}^\beta)$$

- When a jet looks like a 3-prong object, τ_3 will be small but τ_2 will be large.

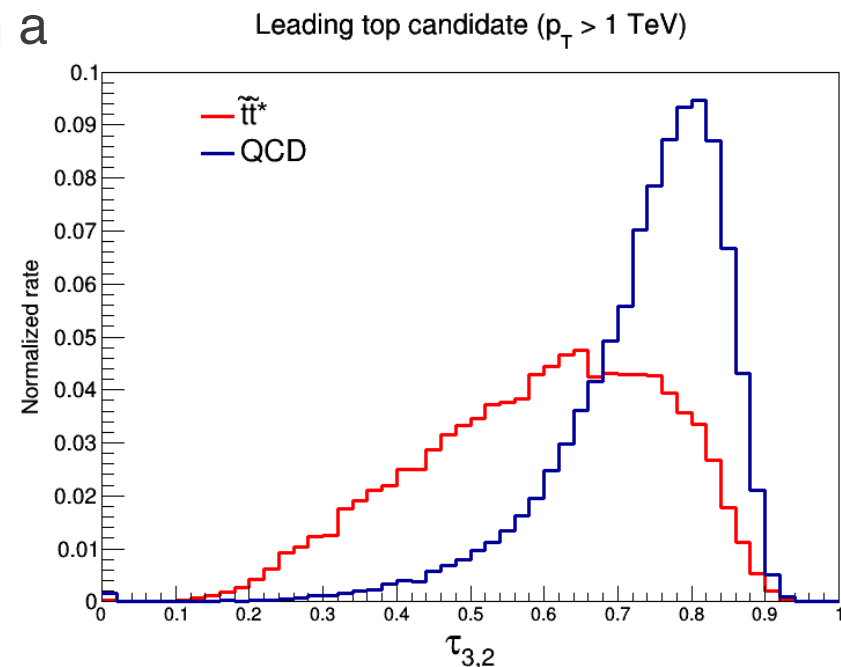
e.g. a hadronic top jet ($t \rightarrow Wb \rightarrow qqb$)

- A spread-out QCD jet can have a small τ_N , but τ_{N-1} is small as well!

- τ_3/τ_2 is a good variable to distinguish a hadronic top jet from QCD jet.



QCD vs hadronic top



Reason for mass spectrum

Why do we have light stop?

- The need for cancelation of Higgs renormalization.
- Large renormalization and t_R - t_L mixing pull the t down to the foot of the scalar spectrum. [Pierce, Bagger, Matchev, Zhang, 97]

Why the Scalar-Gaugino mass splitting? [Arkani-Hamed, Dimopoulos, Giudice, Romanino, 04]

Suppose there is no gauge singlet in an underlying SUSY theory. SUSY breaking from a hidden sector is mediated by a messenger with a group index .

- Scalar mass is generated at tree-level in the Kähler potential

$$\int d^4\theta \frac{S_a^\dagger S_a}{M_*^2} \Phi^\dagger \Phi = m_{soft}^2 \Phi^\dagger \Phi$$

- Tree-level gaugino mass is forbidden by symmetry mass suppression!

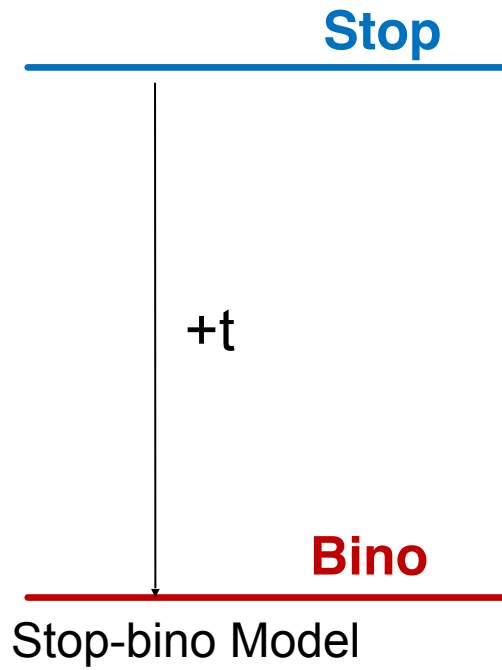
$$\int d^2\theta \frac{S_a}{M_*^2} WW$$

← Uncontracted group index

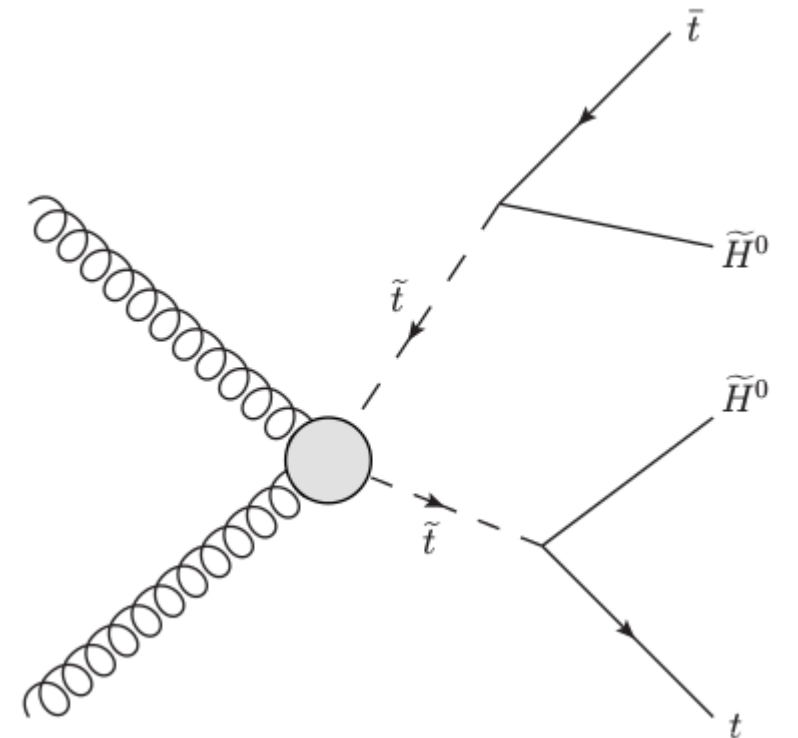
Mass term

An extra factor of suppression

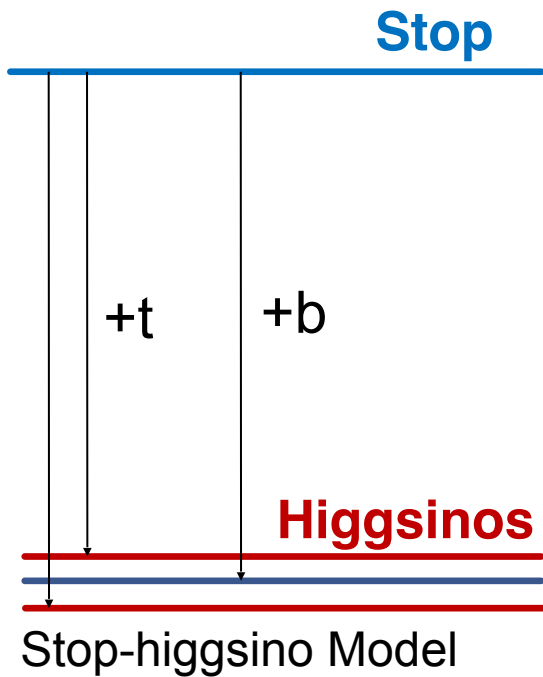
stop-bino model



Final state: $t\bar{t}$ + MET

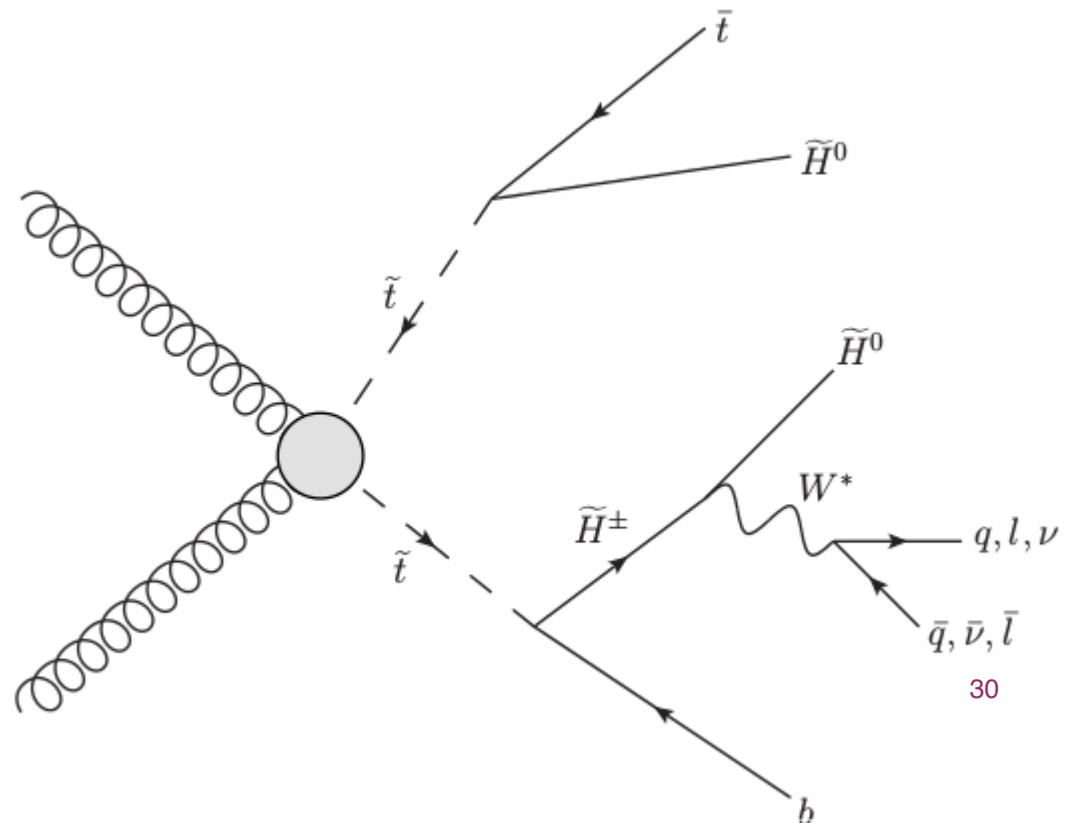


stop-higgsino model



- \tilde{t} 50% decay to $t + \text{MET}$
- \tilde{t} 50% decay to $b + \text{MET}$

Final states: combinatoric of both



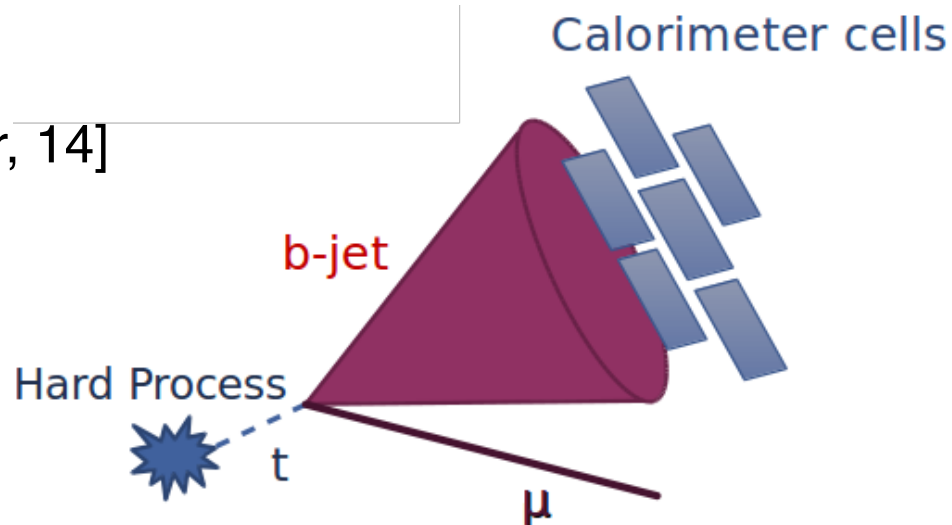
Boosted Object Challenges

[Cohen, D'Agnolo, Hance, Lou, and Wacker, 14]

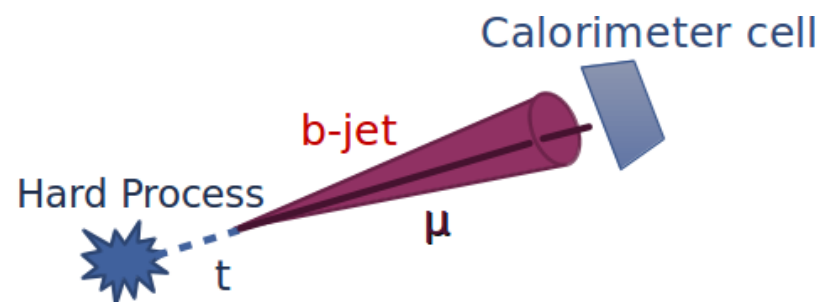
- At high luminosity, the high Standard Model event rate can conceal new physics.

- At high energy, SM objects are boosted. Different objects are collimated along the boost direction, to a point they are smaller than a calorimeter cell.

- New jet substructure techniques are needed.

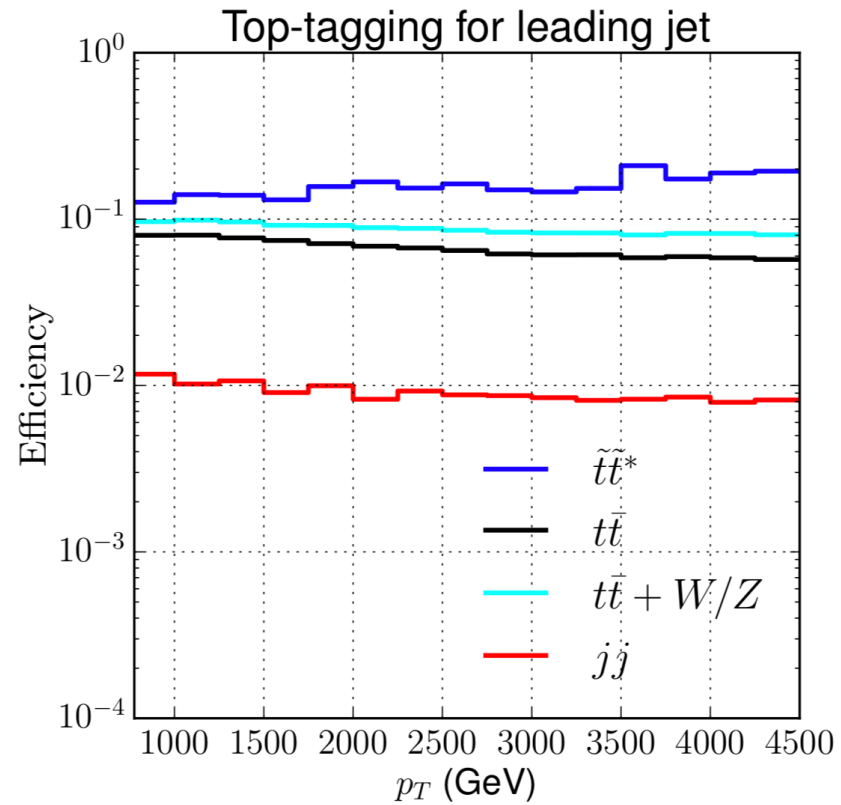


A top quark decaying in the LHC



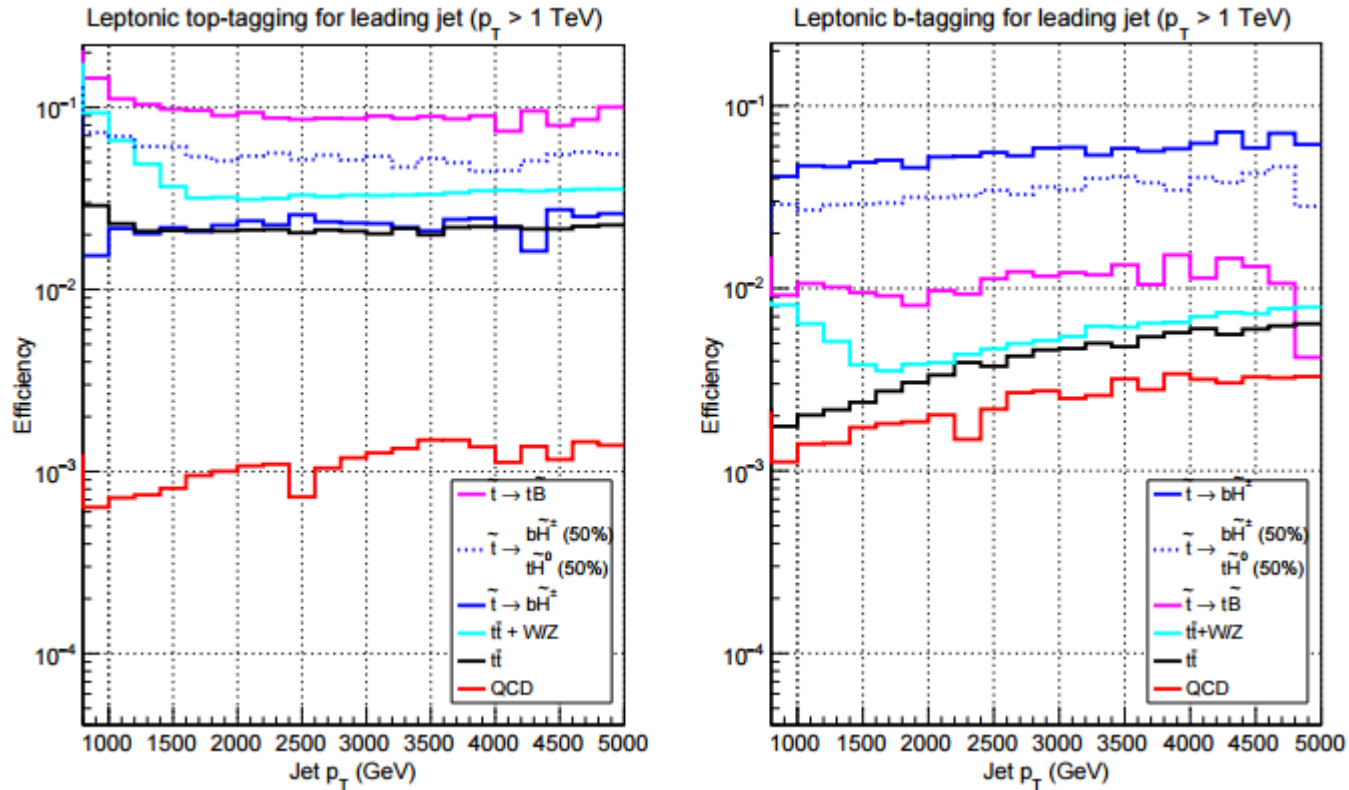
A boosted top in a 100 TeV collider

Tagging Efficiency



Signal/background efficiencies top-tagging

Efficiency



Signal/background efficiencies for stop-higgsino cut