

Colour Rearrangement for Dipole Showers

- 1. Short shower overview
- 2. Colour assignments
- 3. Colour Rearrangement
- 4. Results

Based on <u>arXiv:1801.06113</u>



How we simulate events?





1->2 Showers

Use of 1–>2 splittings in Sudakov basis.

 $q_i = \alpha_i p + \beta_i n + q_{\perp i}$

Keep track of virtualities.

Apply momentum conservation after shower by reshuffling.

Splitting functions:

$$P_{q \to qg}(z) = C_F\left(\frac{1+z^2}{1-z}\right)$$
$$P_{g \to gg}(z) = C_A\left(\frac{z}{1-z} + \frac{1-z}{z} + z(1-z)\right)$$

Symmetry factor for final state gluons.

Angular ordering to include coherence effects and not to 'double count' soft pole.

(CS) Dipole Shower

Use 2–>3 to preserve momentum conservation between shower steps.

Each colour line defines partners in large colour limit. E.g. gluon has two colour partners.

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Modified splitting functions to remove soft double counting

$$P_{q \to qg}(z) = \frac{\alpha_S}{2\pi} C_F \frac{1+z^2}{1-z}$$

$$\langle \mathbf{V}_{q_i g_j, k}(\tilde{z}_i, y_{ij, k}) \rangle = C_F \left\{ \frac{2}{1 - \tilde{z}_i + \tilde{z}_i y_{ij, k}} - (1 + \tilde{z}_i) \right\}$$

$$\mathbf{V}_{g_{i}g_{j},k}(\tilde{z}_{i},y_{ij,k})\rangle = 2C_{A}\left\{\frac{1}{1-\tilde{z}_{i}+\tilde{z}_{i}y_{ij,k}}+\frac{1}{\tilde{z}_{i}+y_{ij,k}-\tilde{z}_{i}y_{ij,k}}-2+\tilde{z}_{i}\left(1-\tilde{z}_{i}\right)\right\}$$

Catani, Seymour arXiv:9605323 Schumann, Krauss arXiv:0709.1027

Dinsdale, Ternick, Weinzierl <u>arXiv:0709.1026</u> Plätzer, Gieseke <u>arXiv:0909.5593</u>

Colour assignment for hard process

Usually:

Assing Dipole chains according to Color-Flow amplitudes,

$$M = \sum_{i} C_i A_i(p)$$

in leading colour,

 $|C_i^{N_C \to \infty} A_i(p)|^2$

Maltoni et al. Phys.Rev. D67 (2003) 014026

Buckley et al. Phys.Rept. 504 (2011) 145-233

Concepts in dipole showers

Algorithm:

- Assign dipoles to hard process
- define $k_T^2 = 2\tilde{p}_{ij}\tilde{p}_kyz(1-z)$
- Competition algorithm
- (k_T,z,ϕ) defines emission
- After emission is produced, assign new color dipoles
- Allow emissions with $k_{T,n} > k_{T,n+1}$
- Include running coupling and CMW factors to include effects of higher orders

	WAR
α	q
(Y	>g
g - g	$\succ g$
>g	>g
$\rangle g$	> q
>g	
$\mathbf{k}_{ar{q}}$	
	$\sim q$

Goals of PS

Pictorial representation

$$(q, 1, 2, \bar{q})^* A(q, 2, 1, \bar{q})^*) \begin{pmatrix} p_{q_1} & p_{q_2} \\ N_C^* & N_C^* \\ p_{\bar{q}} & p_{\bar{q}} \\ p_{\bar{q}} & p_{\bar{q}} \\ N_C & N_C^* \\ N_C^* & N_C^*$$

w1 = jamp2[0] = $A(q, 1, 2, \bar{q}) A(q, 1, 2, \bar{q})^*$ w2 = jamp2[1] = $A(q, 2, 1, \bar{q}) A(q, 2, 1, \bar{q})^*$

Rearranging the Colours

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Recoils and angle choices can disorder the dipole chains.

Interpret gluons in LCA
For all triple dipoles:

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$$\mathcal{R} < rac{w_2}{w_1 + w_2}$$

swap gluon momenta.

Independent of input:

$$\left(1 - \frac{w_2}{w_1 + w_2}\right) \cdot a + \left(\frac{w_1}{w_1 + w_2}\right) \cdot (1 - a) = \frac{w_1}{w_1 + w_2}$$

Symmetric emission and emitter in kinematics and kernel. Can be and is changed by multiplying the kernel by z or use only (1-z) pole.

Colour Rearrangement for Dipole Showers

- 1. Use tune for default shower.
- 2. CMW scheme
- 3. Cutoff variation.

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DIS data

Extending the method to process with QCD in initial state is under investigation, but here at least LO or even NLO merging is needed to describe data.

Method to allow rearranging the color chains in dipole showers.

Main effect produced by symmetric emitter emission treatment.

For now only modify color assignment. One can also ask for rate modifications.

Thank you!

