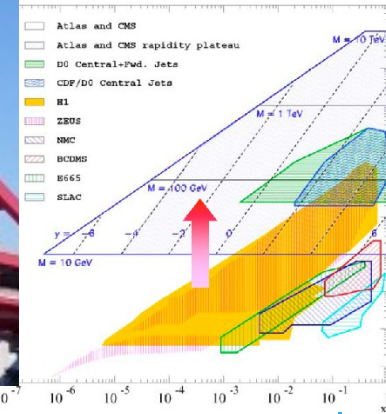
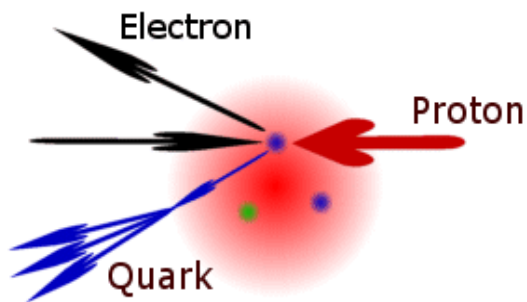


# 『日本永代蔵』とは？

- と 浮世草子で、町人物の代表作の一つ
- と 1688年刊行
- と 六巻30話



木曾街道 日本橋雪之曙  
溪斎英泉筆



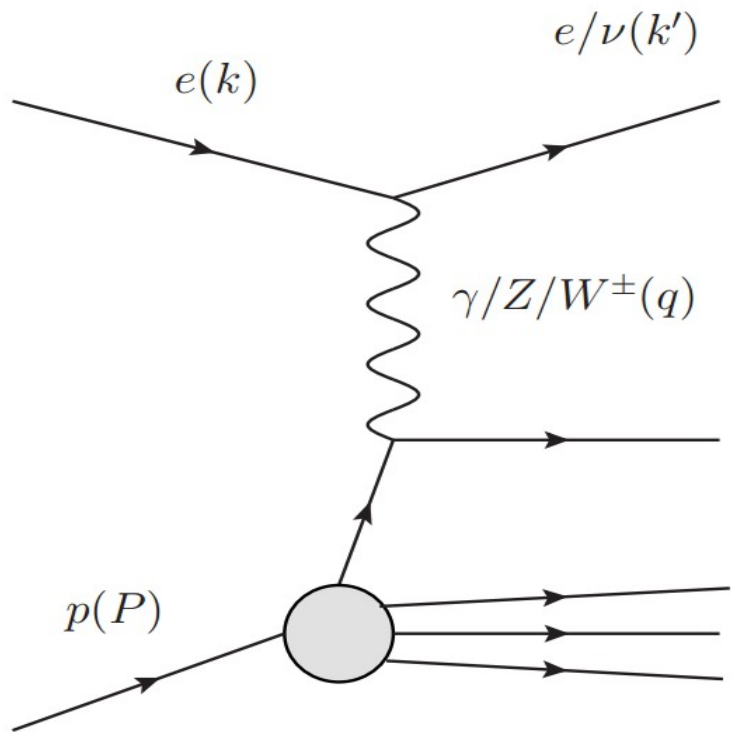
# MC tuning with low- $x$ low- $Q^2$ higher twists HHT PDF from HERA

HHT team: K. Wichmann, A. Cooper-Sarkar, I. Abt, B. Foster, V. Myronenko, M. Wing  
MC tuning: P. Gunnellini, H. Jung

Phys. Rev. D 94, 034032 (2016), arXiv:1604.02299

Phys. Rev. D 96, 014001 (2017), arXiv:1704.03187

# Deep Inelastic Scattering at HERA



Combined H1/ZEUS inclusive DIS cross sections → final word from HERA → HERA legacy

$X(P')$

$$E_p = 920 (820, 460, 575) \text{ GeV}$$

$$E_e = 27.5 \text{ GeV}$$

$$\sqrt{s} = 318 (300, 225, 252) \text{ GeV}$$

$$Q^2 = -q^2 = -(k - k')^2$$

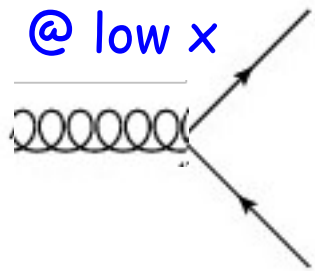
$$x_{Bj} = \frac{Q^2}{2pq} \quad y = \frac{pq}{pk}$$

$$s = (p + k)^2 \quad Q^2 = xys$$

Experimental luminosity (H1 & ZEUS):

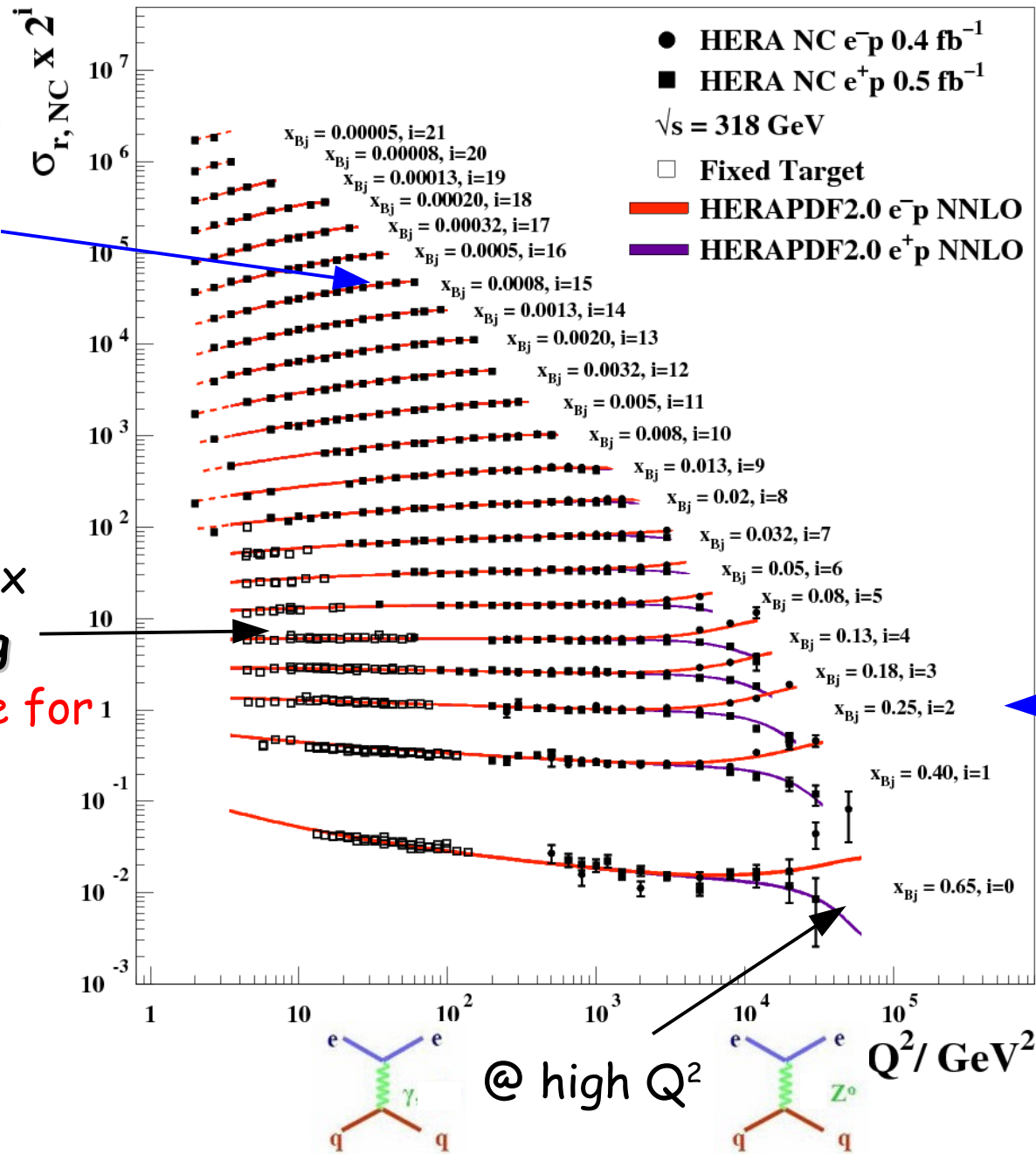
**$\sim 0.5 \text{ fb}^{-1}$**  data from each experiment

# H1 and ZEUS

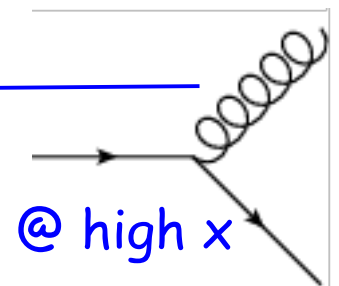


@ moderate x  
QCD scaling

2015 Wolf prize for  
J. Bjorken!



electron-proton  
positron-proton

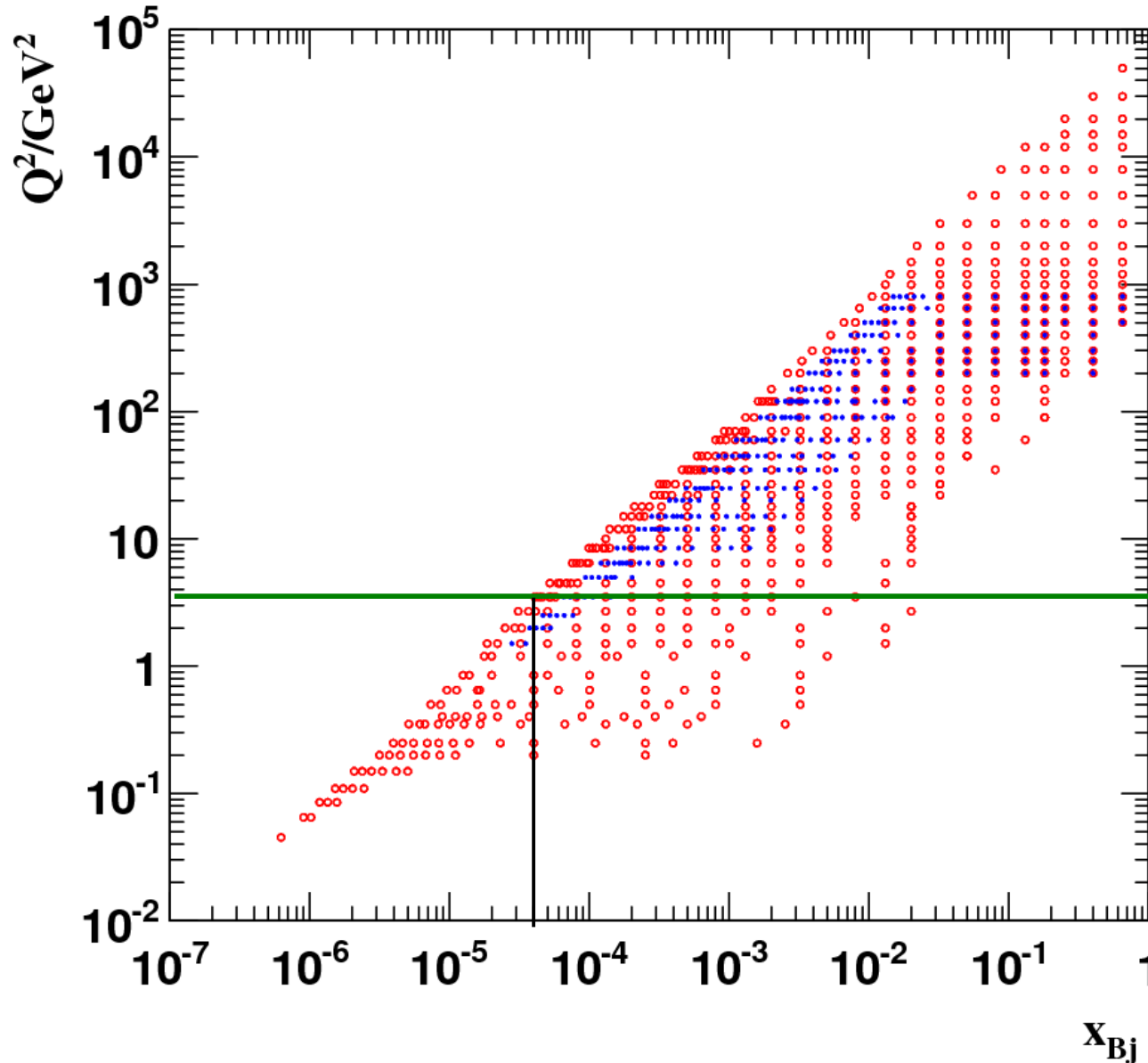


Text book plots of fundamental properties of particle interactions



@ HERA low  $Q^2 \rightarrow$  low  $x$

## H1 and ZEUS



$$Q^2_{\text{min}} = 3.5 \text{ GeV}^2$$

Surprisingly we can  
fit so low in  $Q^2$

# HERAPDF2.0 @ low $Q^2$ and low $x$

- NLO fit for  $Q_{\min}^2 = 3.5 \text{ GeV}^2$

$$\chi^2/\text{dof} = 1357/1131$$

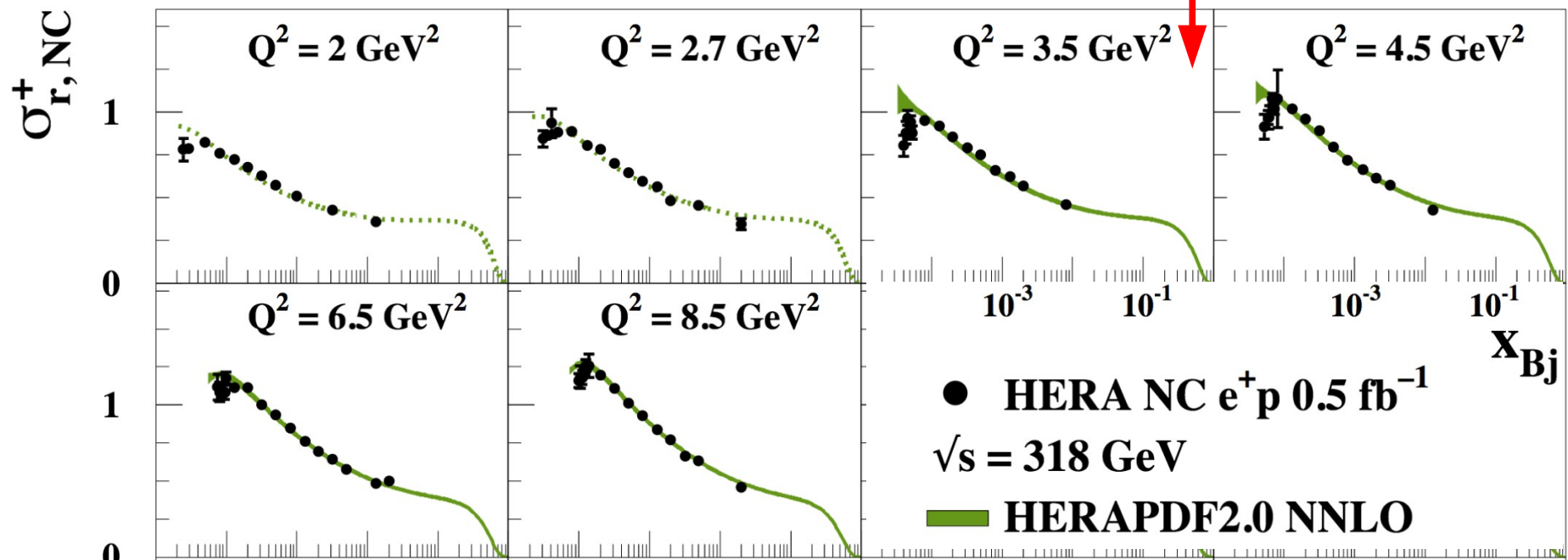
- NNLO fit for  $Q_{\min}^2 = 3.5 \text{ GeV}^2$

$$\chi^2/\text{dof} = 1363/1131$$

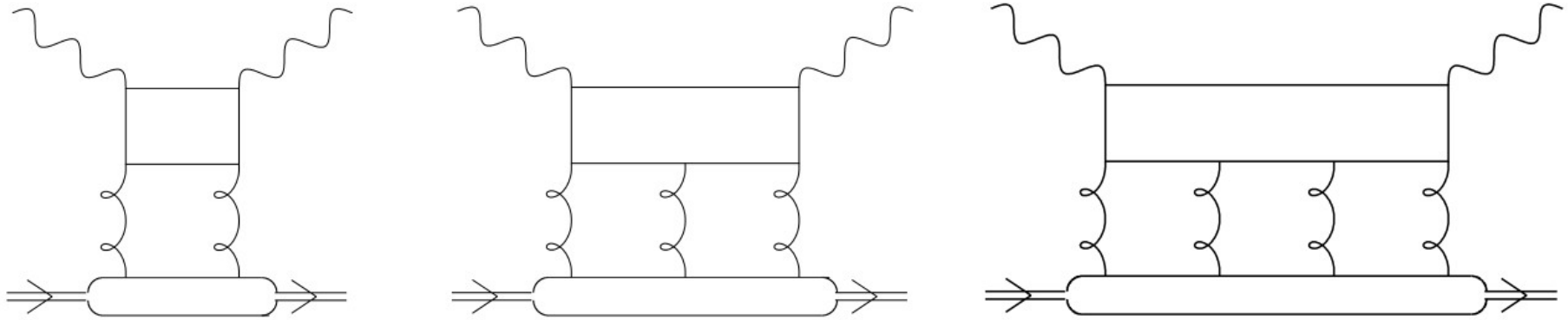
- Let's see how HERA low  $Q^2$ , low  $x$  data are described by predictions

- Not that great...

## H1 and ZEUS



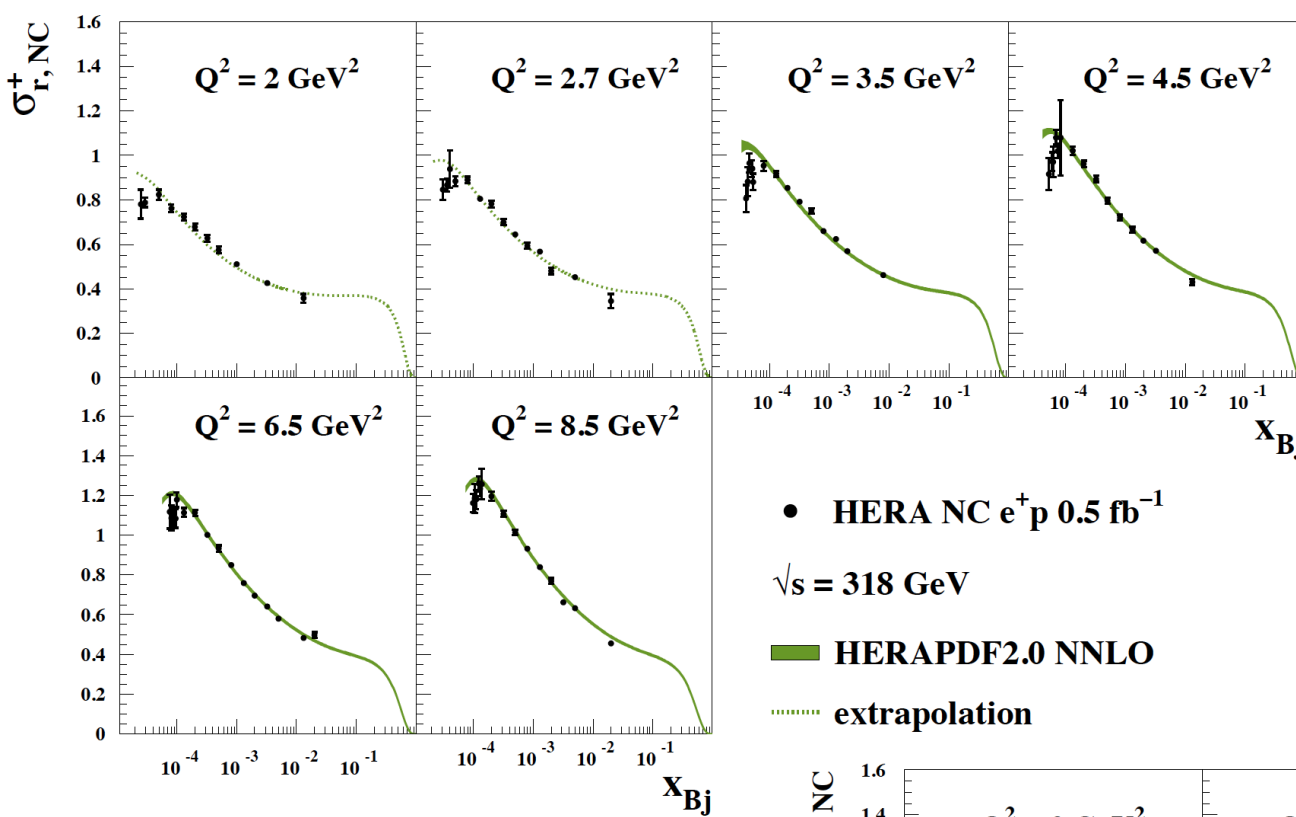
# Higher-twist corrections



- higher twist terms acting at low- $x$  considered
- their origin *COULD* be connected with the recombination of gluon ladders
- Bartels, Golec-Biernat, Peters suggested that such higher twist terms would cancel between  $\sigma_L$  and  $\sigma_T$  in  $F_2$ , but remain strong in  $F_L$
- simplest possible modification to structure functions  $F_2$  and  $F_L$  as calculated from HERAPDF2.0 formalism tried

$$F_2^{\text{HT}} = F_2^{\text{DGLAP}} \left(1 + \boxed{A_2^{\text{HT}}} / Q^2\right)$$

$$F_L^{\text{HT}} = F_L^{\text{DGLAP}} \left(1 + \boxed{A_L^{\text{HT}}} / Q^2\right)$$



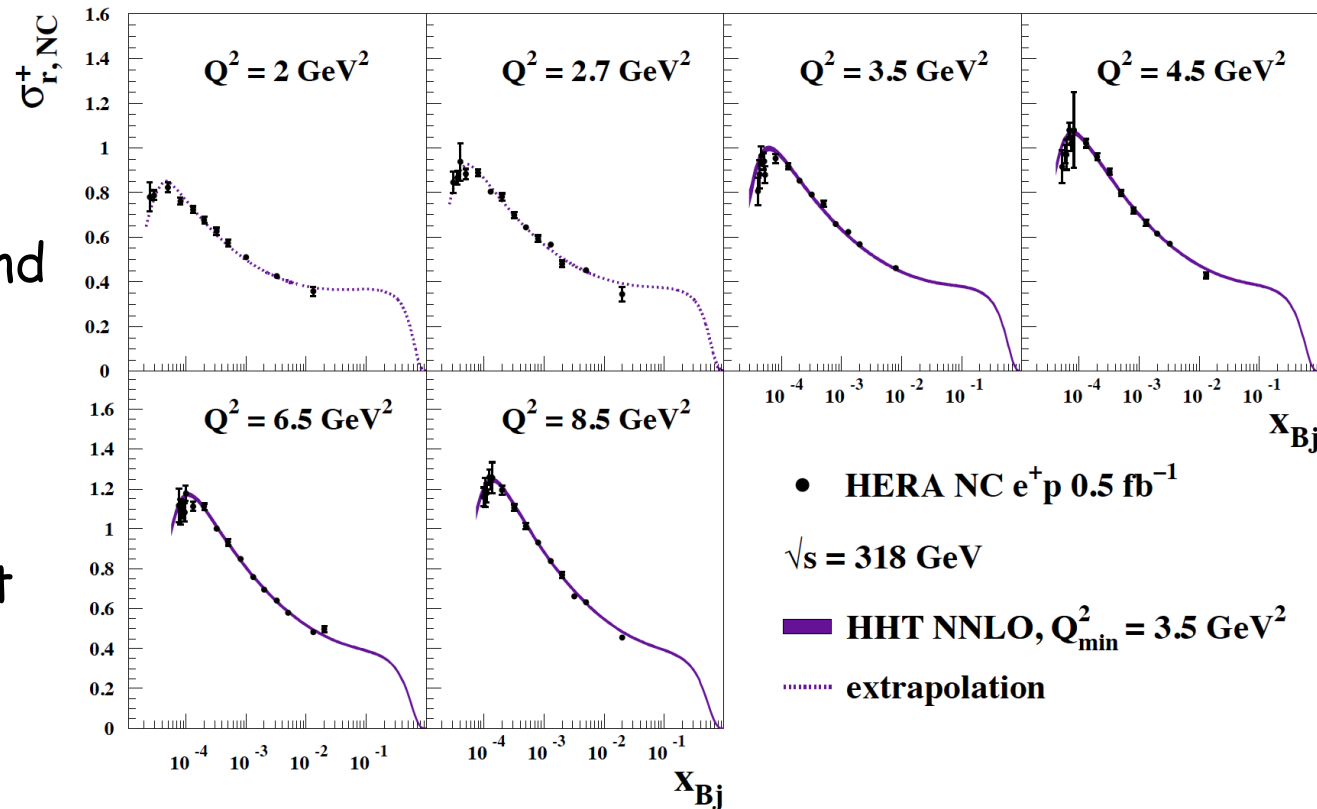
- Low- $Q^2$  data description much improved
- including extrapolation down to  $Q^2 = 2 \text{ GeV}^2$
- NNLO does better than NLO

why HHT fits do so well?

- HHT describes turn-over and slope better

$$\sigma_{\text{red}} = F_2 - \gamma^2/Y_+ F_L$$

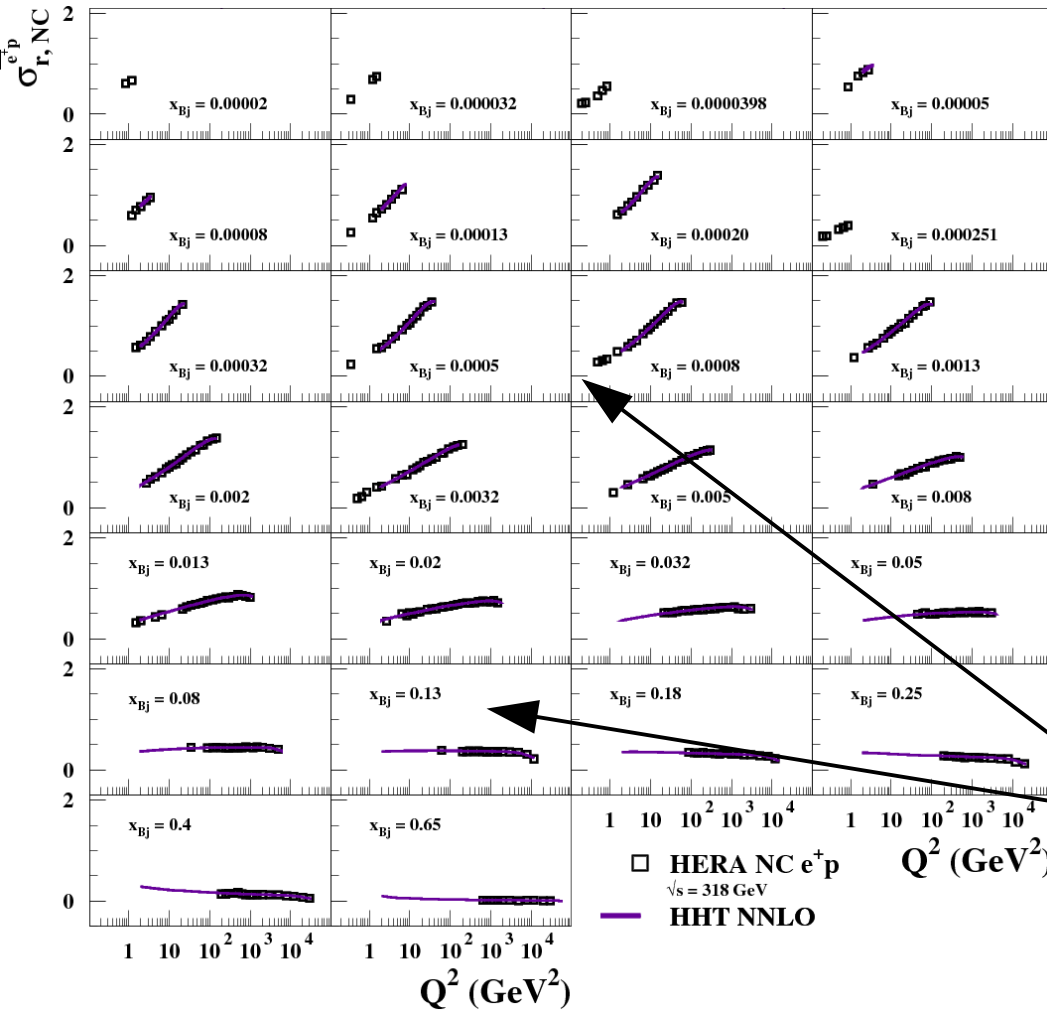
- data clearly wants larger  $F_L$ 
  - this is what higher twist term provides



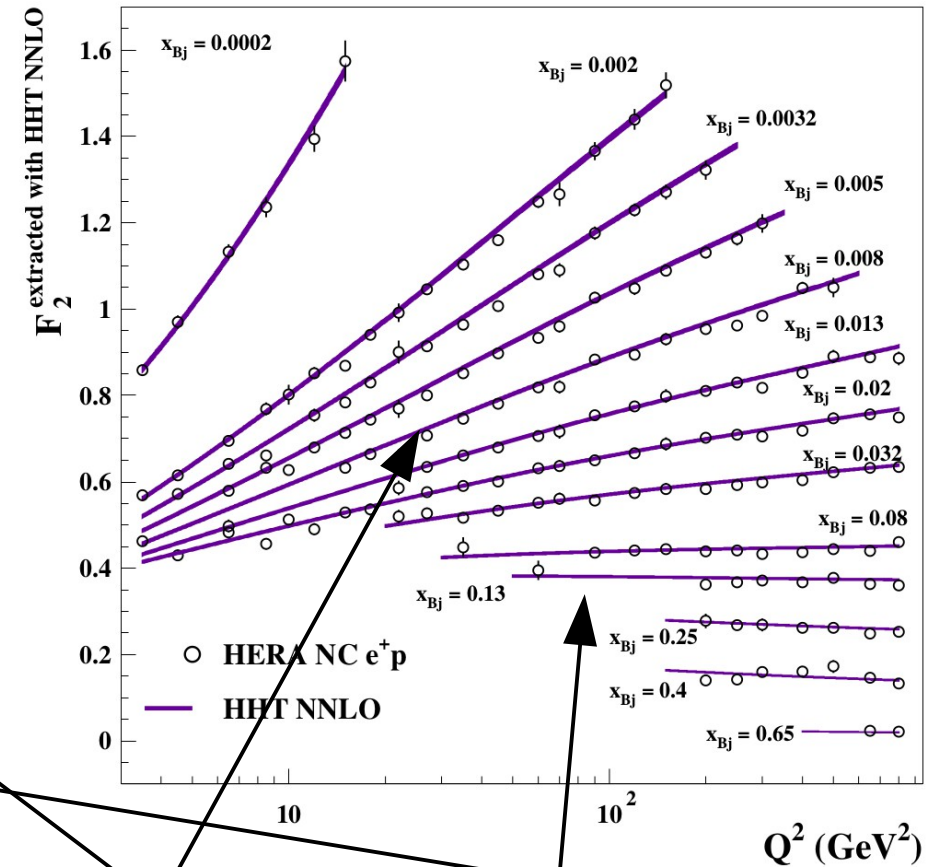


# QCD scaling with HHT

- Scaling violations well established



- Also for extracted  $F_2$

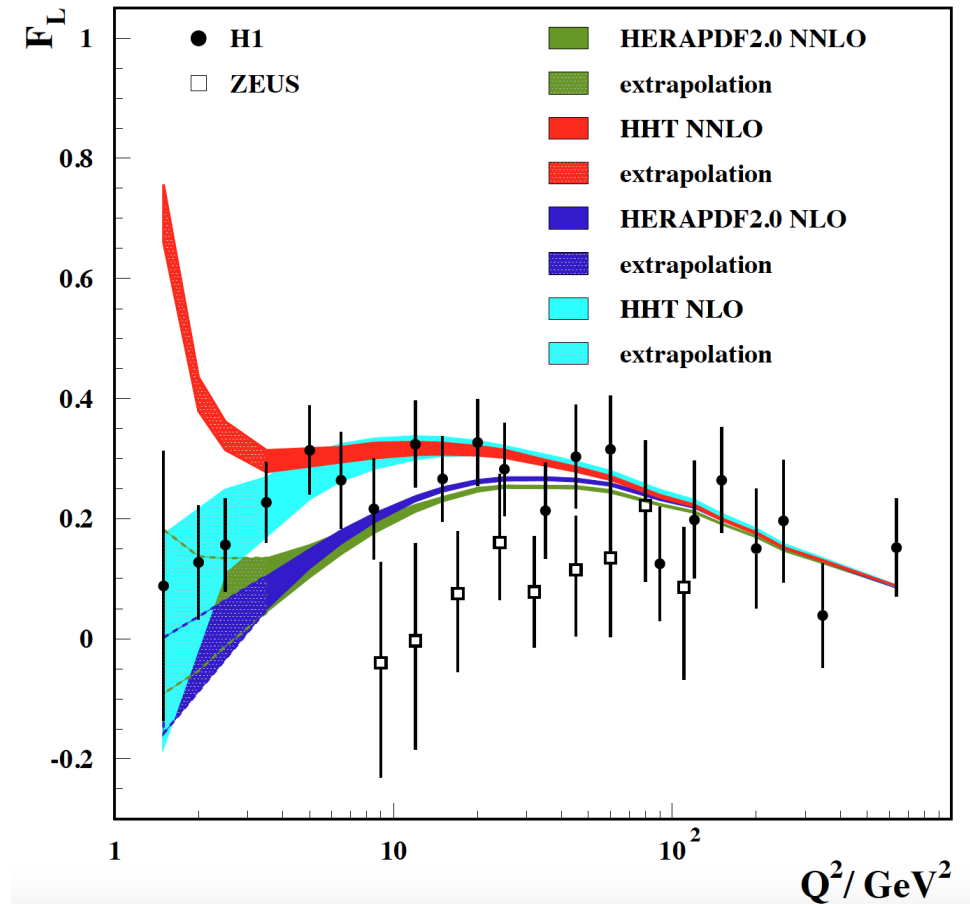
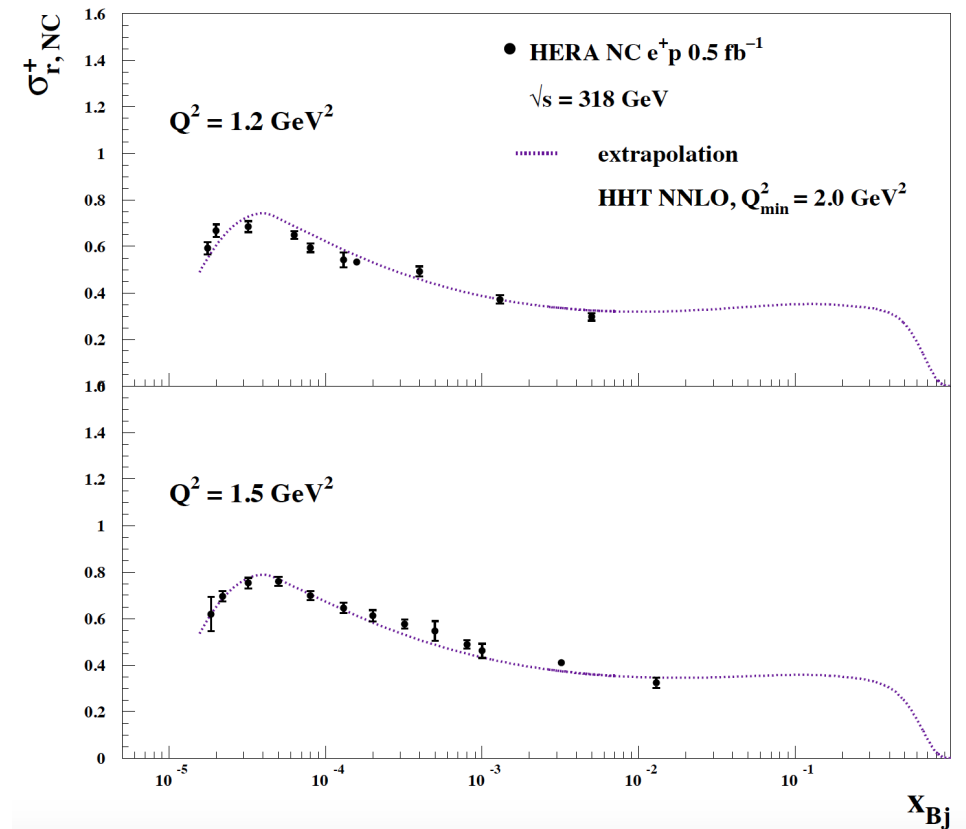


scaling violation

scaling

$$\sigma_{r,NC}^{e+p} = \tilde{F}_2(x_{Bj}, Q^2) - \frac{Y_-}{Y_+} x \tilde{F}_3(x_{Bj}, Q^2) - \frac{y^2}{Y_+} F_L(x_{Bj}, Q^2)$$

# Extrapolation down to $Q^2 \sim 1 \text{ GeV}^2$

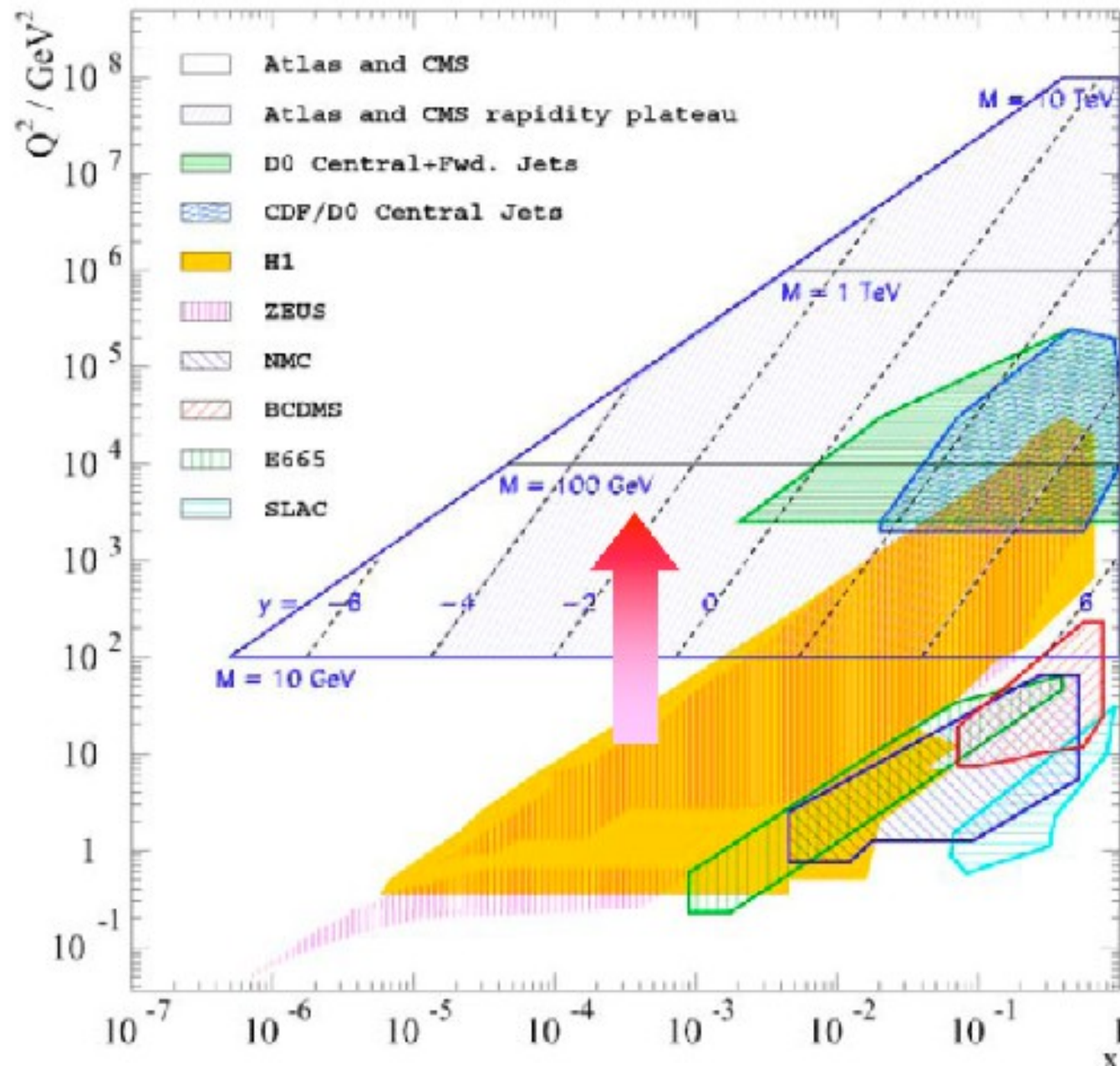


But beware... is this actually reasonable?

What does  $F_L$  itself look like?

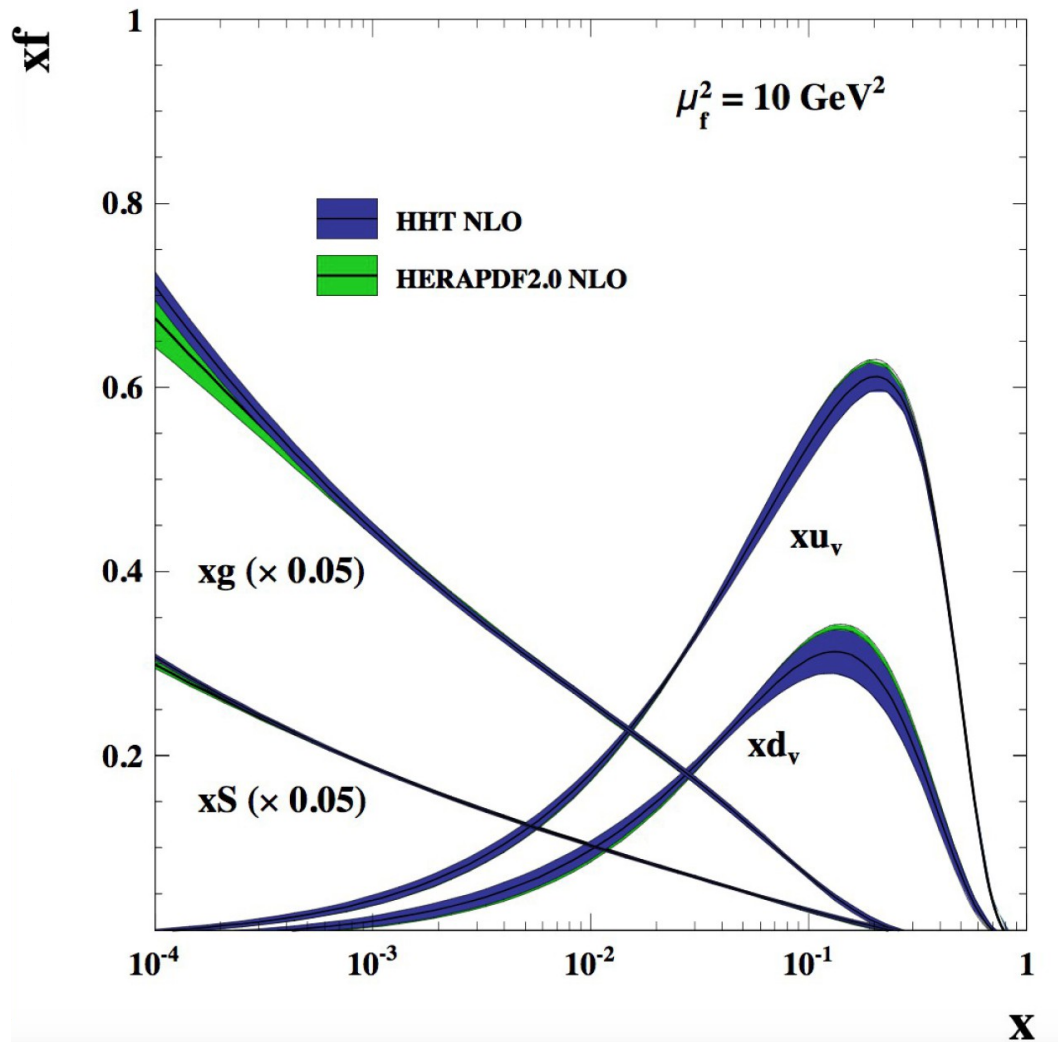
- NNLO HHT FL prediction untamed at low  $Q^2$
- this approach can't be pushed too far
- this comes from NNLO coeff. functions and the  $1/Q^2$  term makes it worse

# DGLAP evolves HERA scales to any scales



# Higher-twist effects at various scales

- Already at scale of  $10 \text{ GeV}^2$  HHT PDFs similar to standard one

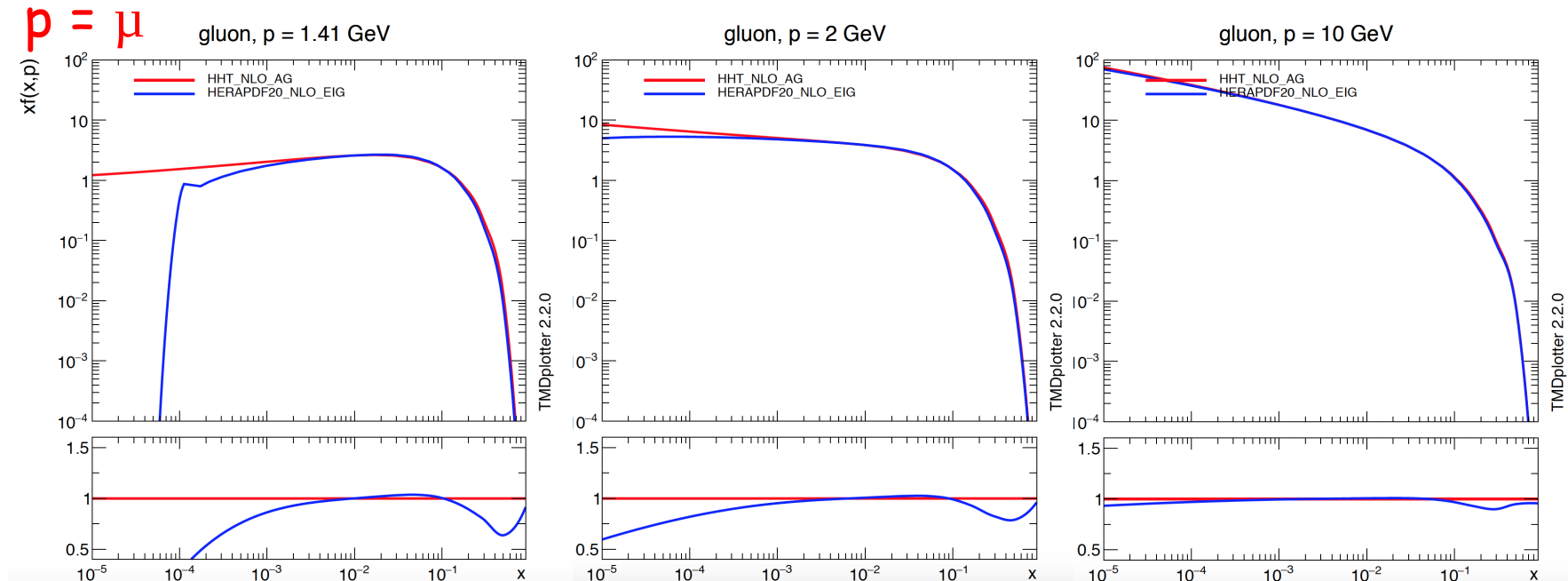
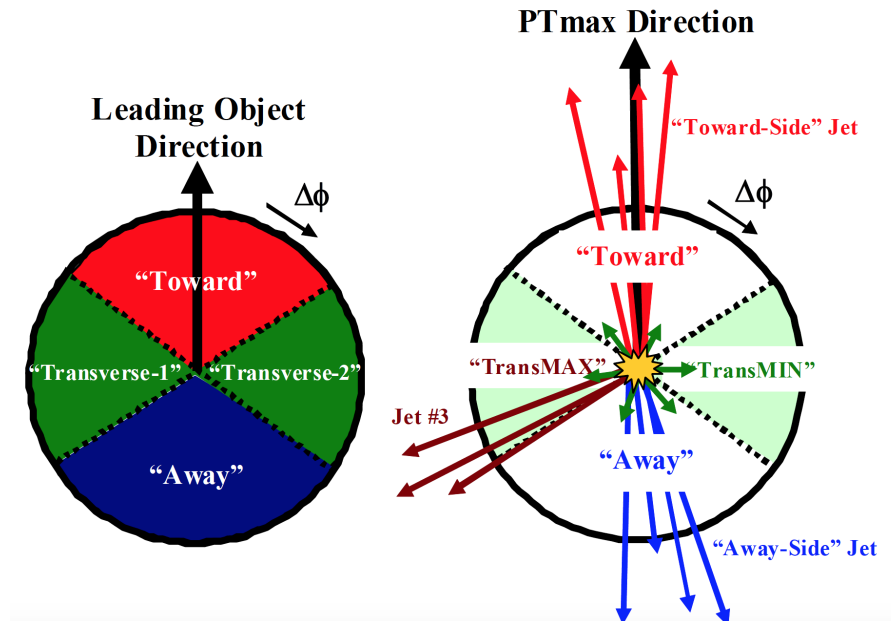


Higher twist modification does not affect high-scale LHC physics

What about  
low-scale LHC physics?

# Used in MC tuning: underlying event

- Interest in MC community for PDF describing data well down to lowest possible  $Q^2$ 
  - HHT NLO AG can be used  $\rightarrow$  AG (alternative gluon): no negative gluon term
- First use: tune for underlying event





# MC tuning: underlying event

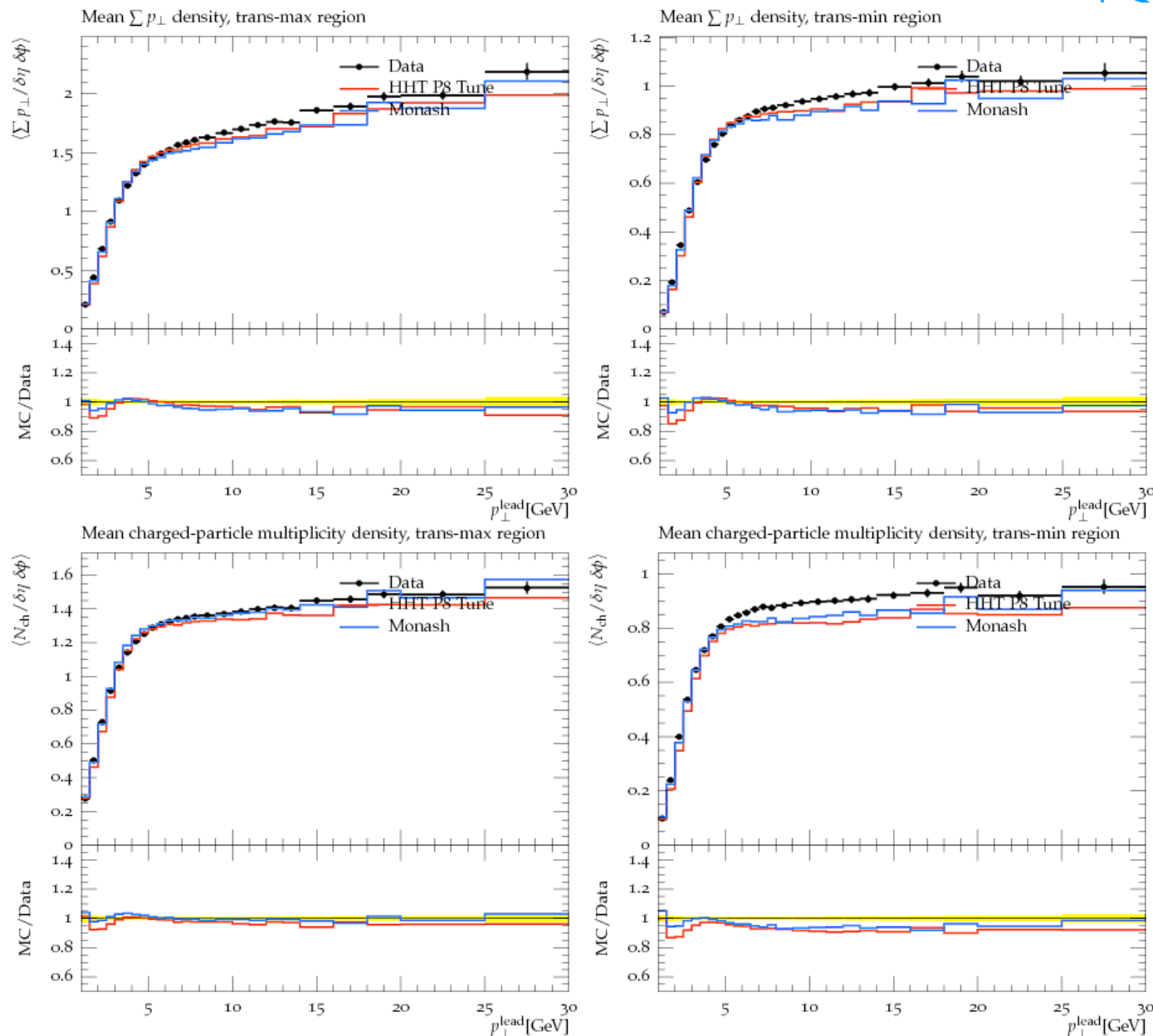
- 12 variables tuned
  - 4 for each energy:  
1.96, 7 and 13 TeV
- 5 tuned parameter
- Compared to standard Monash tune with NNPDF

Data compares well with both tunes

**ATLAS data**

JHEP 1703 (2017) 157 (2017-03-29)

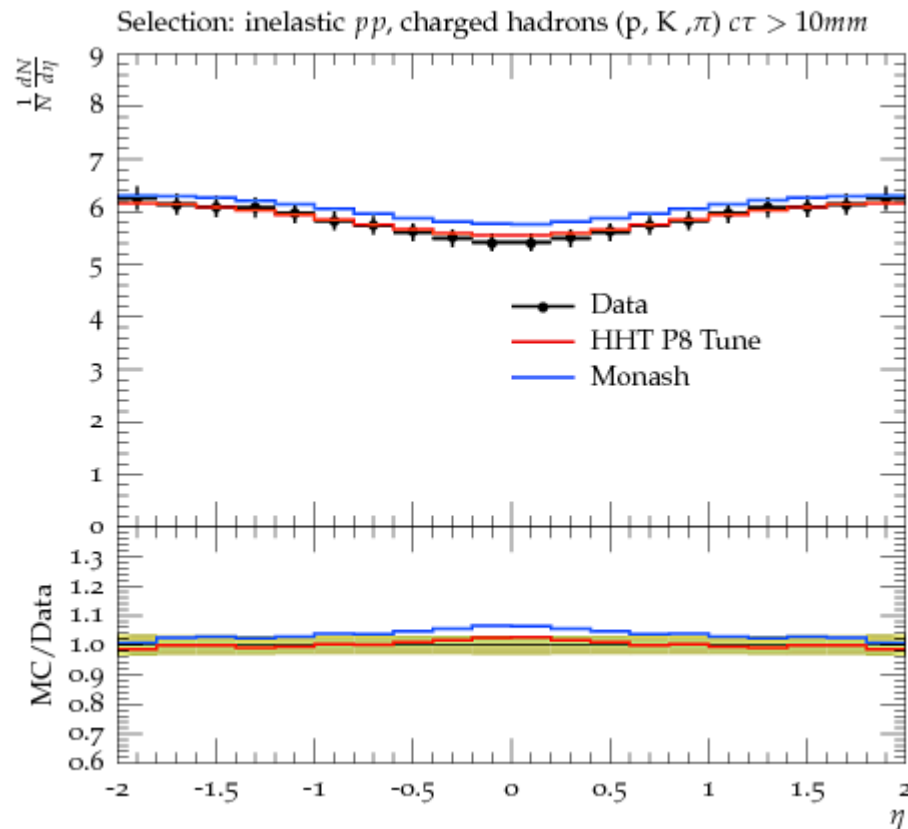
arXiv:1701.05390



# MC tunes compared to global variables: CMS

- Pseudorapidity distribution of charged hadrons in pp collisions at  $\sqrt{s} = 13$  TeV measured using CMS data, at zero magnetic field
- Determined in central region of CMS pixel detector ( $|\eta| < 2$ ) using both hit pairs and reconstructed tracks

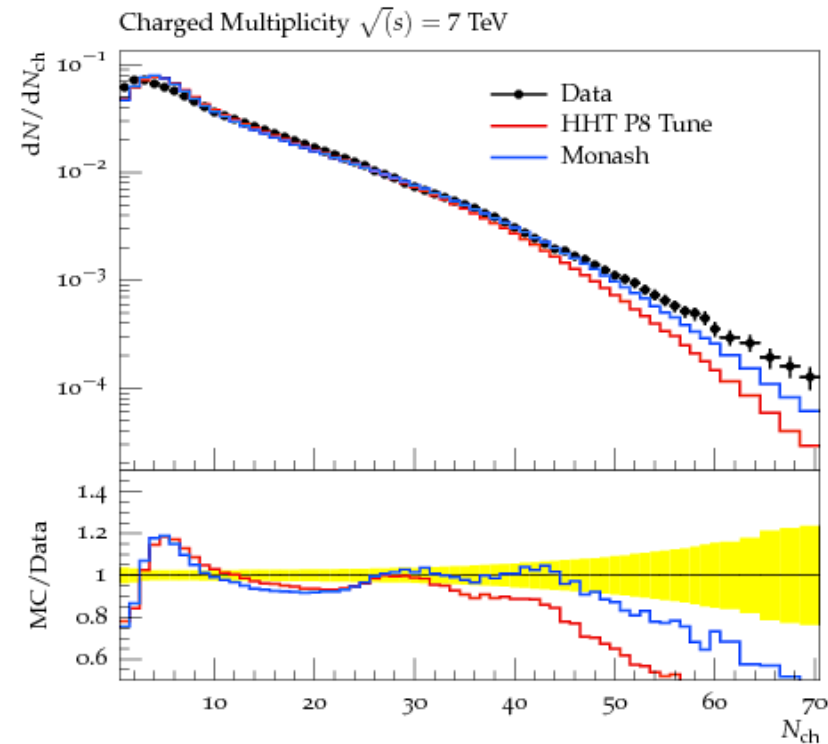
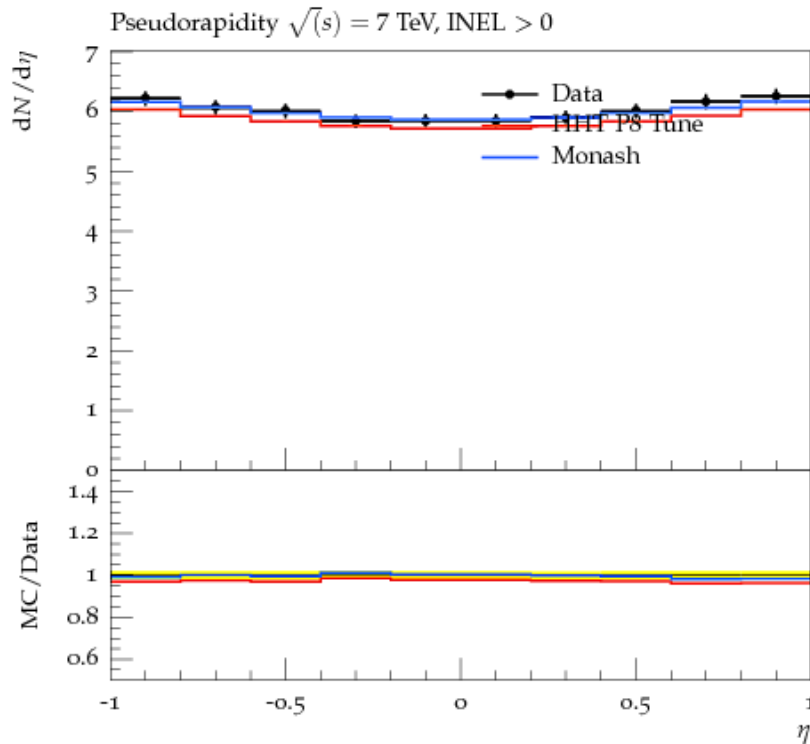
arXiv:hep-ex/1507.05915



Data compares well  
with both tunes

# MC tunes compared to global variables: ALICE

- ALICE data Eur.Phys.J. C68 (2010) 345-354 | arXiv:1004.3514
  - pseudorapities for 0.9, 2.36 and 7TeV
  - charged multiplicity at 7TeV
- Analysis requires at least one charged particle in the event



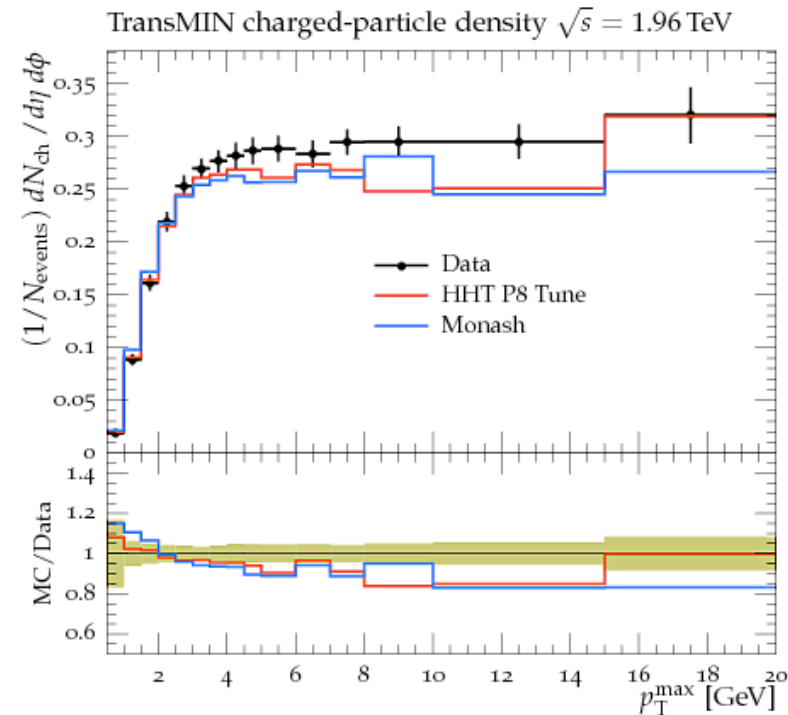
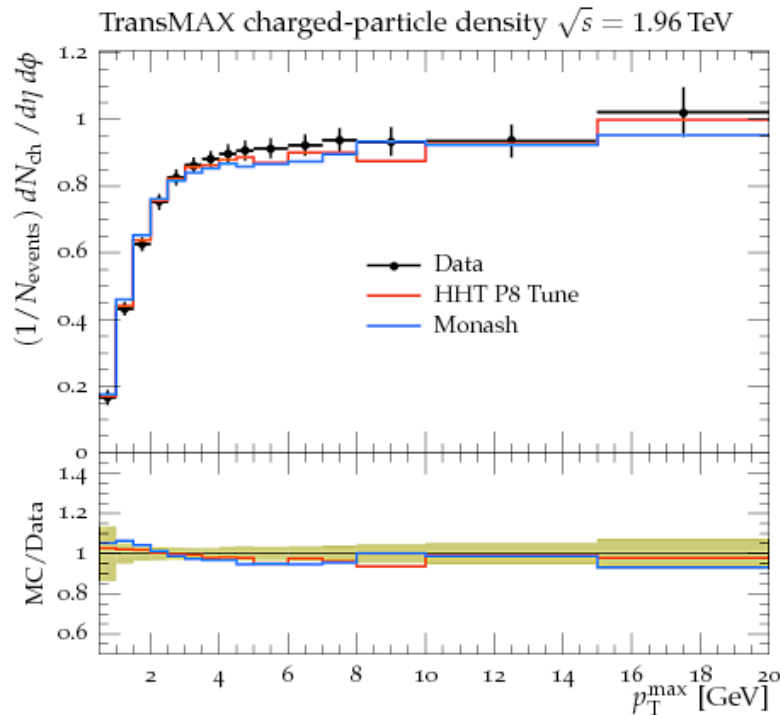
Data compares well with both tunes

# MC tunes compared to TeVatron: CDF

Phys.Rev. D92 (2015) no.9, 092009, (2015-11-23)

arXiv:1508.05340

- The same tunes can be used for studies outside LHC, eg. TeVatron
- Examples of some UE variables from CDF measurement at 1.96 TeV



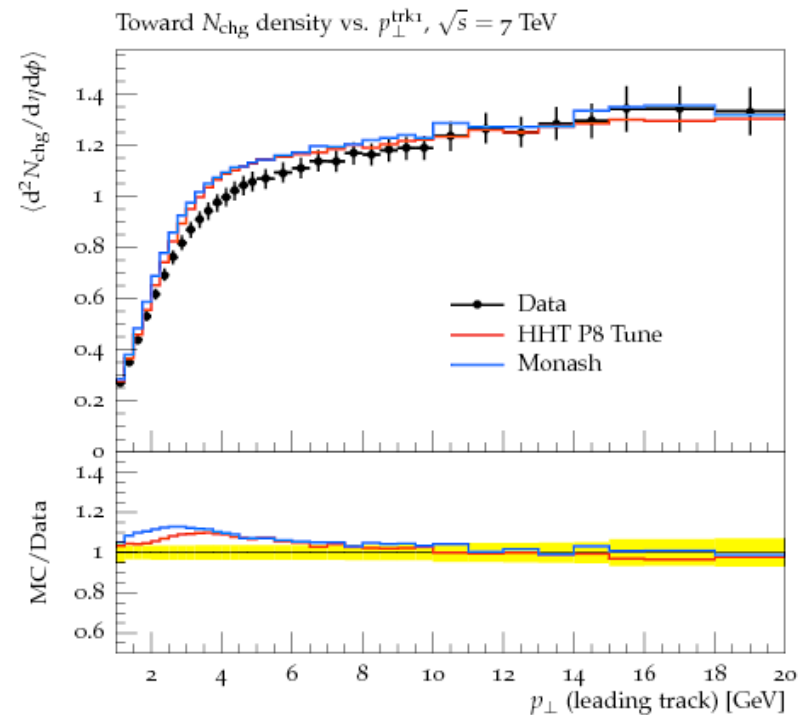
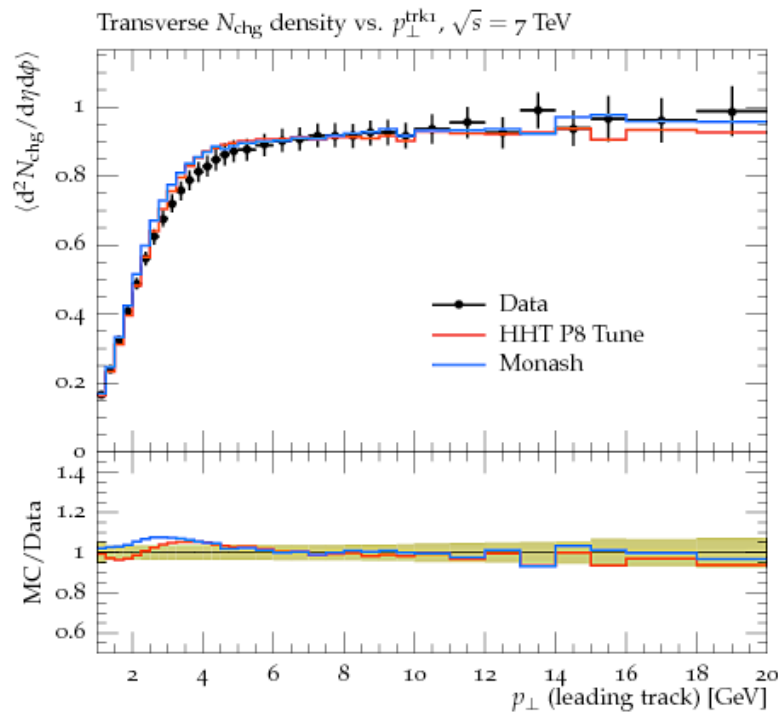
- Some variables described better → work in progress

# Comparison to UE variables: ATLAS

Phys. Rev. D 83 (2011) 112001

arXiv:1012.0791

- Compares well with standard Pythia Monash tune
  - Sometimes better / sometimes a bit worse



- Work in progress  $\rightarrow$  hope that for tunes with lower energies PDF better describing low  $Q^2$  will be beneficial



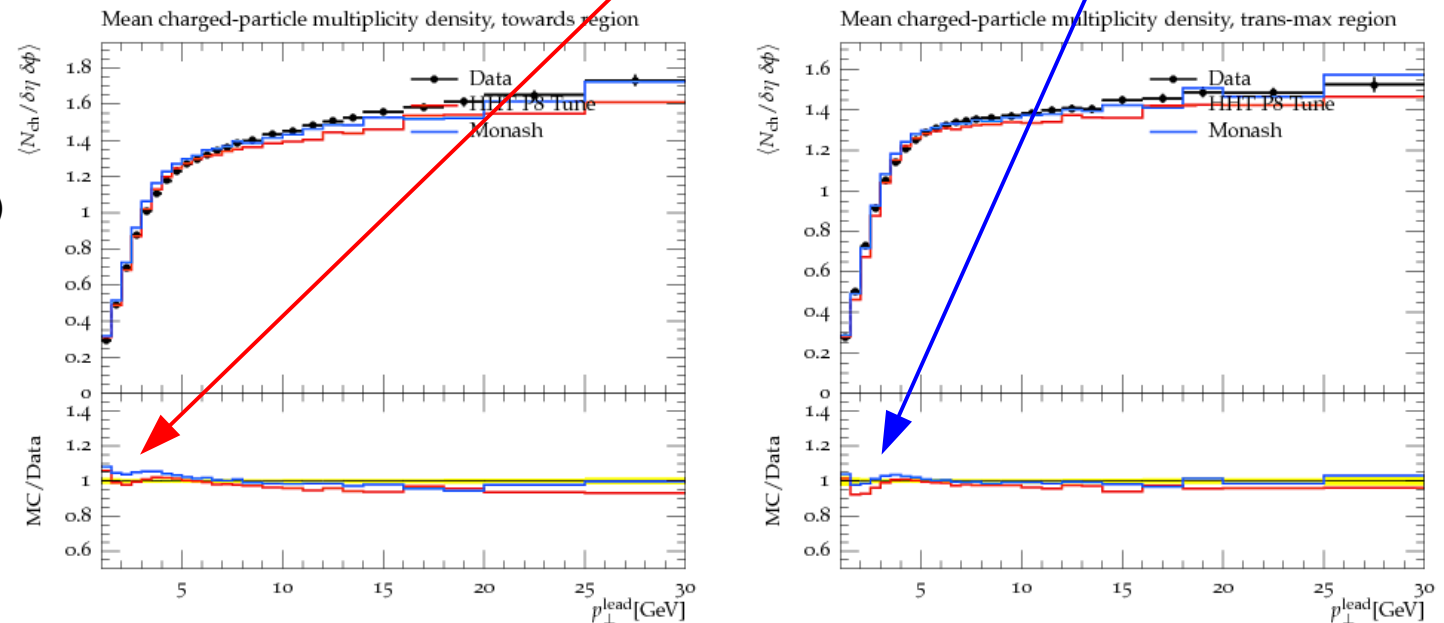
# Low-scale data description

- At LHC @ low-scales two effects important in data description
  - Fit with low-scale PDF → expected better constrain of soft processes like minimum-bias events - UE observables, eg. charged particle multiplicity
  - Diffraction effects - not tuned, Pythia8 uses diffractive PDF
    - If that not described → no improvement possible
- Situation not clear yet - sometimes HHT helps, sometimes not

ATLAS data

JHEP 1703 (2017) 157 (2017-03-29)

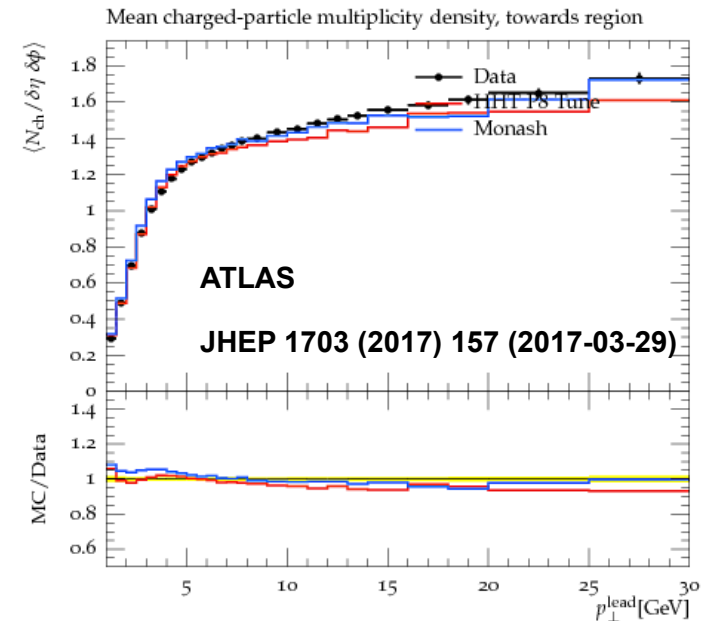
arXiv:1701.05390



Diffraction part could be tuned next

# Summary & Prospects

- Adding low- $x$  higher twist terms to the HERAPDF2.0 analysis improves description of HERA data at low  $Q^2$  [Phys. Rev. D 94, 034032 \(2016\), arXiv:1604.02299](#)  
[Phys. Rev. D 96, 014001 \(2017\), arXiv:1704.03187](#)
- Such terms are significant in  $F_L$  for low  $x$ ,  $Q^2$
- Simple approach fails for  $Q^2 < 2 \text{ GeV}^2$
- **MC tuning with HHT NLO**
  - PDF solid down to low  $p_T$
  - Used in MC tuning for underlying event
    - As low in  $x$ ,  $Q^2$  as possible  $\rightarrow$  avoid any assumption and extrapolation of PDFs  
 $\rightarrow$  reduction of uncertainties
  - Compares well with standard Monash tune
  - Work ongoing in low-scale region  $\rightarrow$  possible tunes of diffractive part
  - Other low- $x$  PDFs recent studies:
    - quasi-partonic higher-twist effects in DIS: [Eur. Phys. J. C \(2018\) 78:80](#)
    - Low- $x$  resummation: [arXiv:1802.00064](#)



# Back-up slides

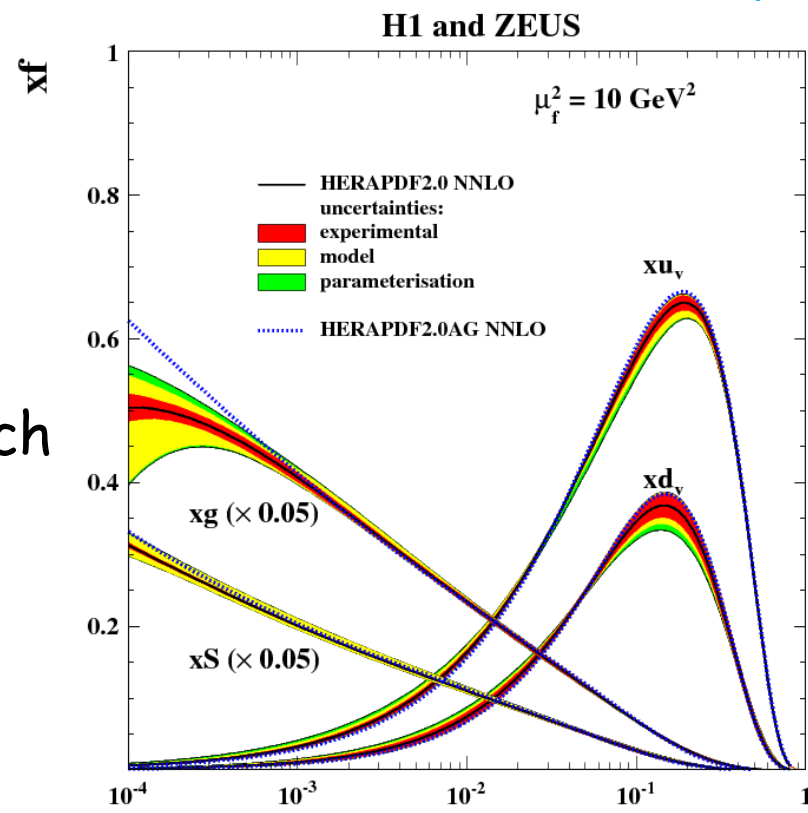
# Global QCD fits: HERAPDF approach

- Data: NC & CC,  $e^+p$  and  $e^-p$  scattering
- Global PDF fits follow HERAPDF2.0 approach
- DGLAP evolution using QCDNUM
- 14 parameter for PDF fit

$$xf(x) = Ax^B(1-x)^C(1+Dx+Ex^2)$$

$$xg(x), xu_v(x), xd_v(x), x\bar{U}(x), x\bar{D}(x)$$

- Starting scale  $Q^2_0 = 1.9 \text{ GeV}^2$
- Heavy flavor coefficients are obtained within GM VFNS (RT OPT)
- Model and parameterisation uncertainties → HERAPDF2.0



# Higher-twist effects

HERAPDF2.0

NLO

$$\frac{\chi^2}{ndf} = \frac{1356}{1131} \approx 1.20$$

NNLO

$$\frac{\chi^2}{ndf} = \frac{1363}{1131} \approx 1.21$$

→ Introducing  $F_2^{HT} = F_2^{DGLAP} \left(1 + \frac{A_2^{HT}}{Q^2}\right)$  has almost no effect

HHT@F<sub>2</sub>

NLO

$$\frac{\chi^2}{ndf} = \frac{1354}{1130} \approx 1.20$$

NNLO

$$\frac{\chi^2}{ndf} = \frac{1357}{1130} \approx 1.20$$

$$A_2^{HT} = 0.14 \pm 0.10 \text{ GeV}^2$$

$$A_2^{HT} = 0.12 \pm 0.07 \text{ GeV}^2$$

factors consistent with 0

→ Introducing  $F_L^{HT} = F_L^{DGLAP} \left(1 + \frac{A_L^{HT}}{Q^2}\right)$  helps a lot

HHT@F<sub>L</sub>

NLO

$$\frac{\chi^2}{ndf} = \frac{1329}{1130} \approx 1.18$$

$$\Delta\chi^2 = 27$$

NNLO

$$\frac{\chi^2}{ndf} = \frac{1316}{1130} \approx 1.16$$

$$\Delta\chi^2 = 47$$

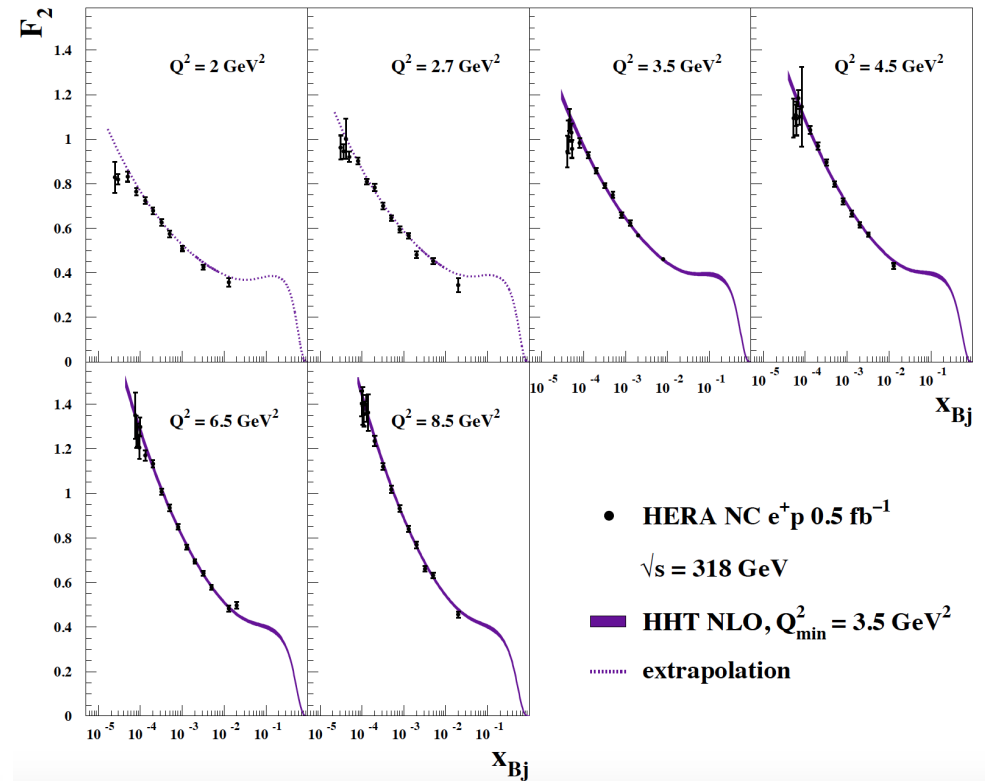
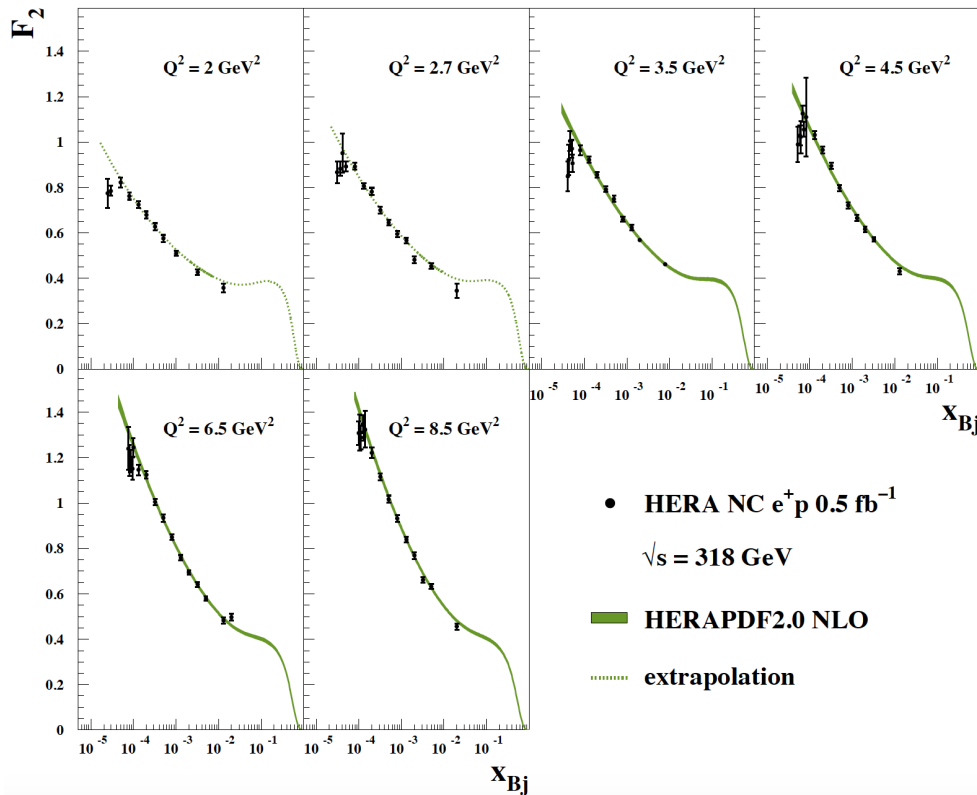
$$A_L^{HT} = 4.2 \pm 0.7 \text{ GeV}^2$$

$$A_L^{HT} = 5.5 \pm 0.6 \text{ GeV}^2$$

→ Trying to F<sub>L</sub> and F<sub>2</sub> together gives the same conclusion

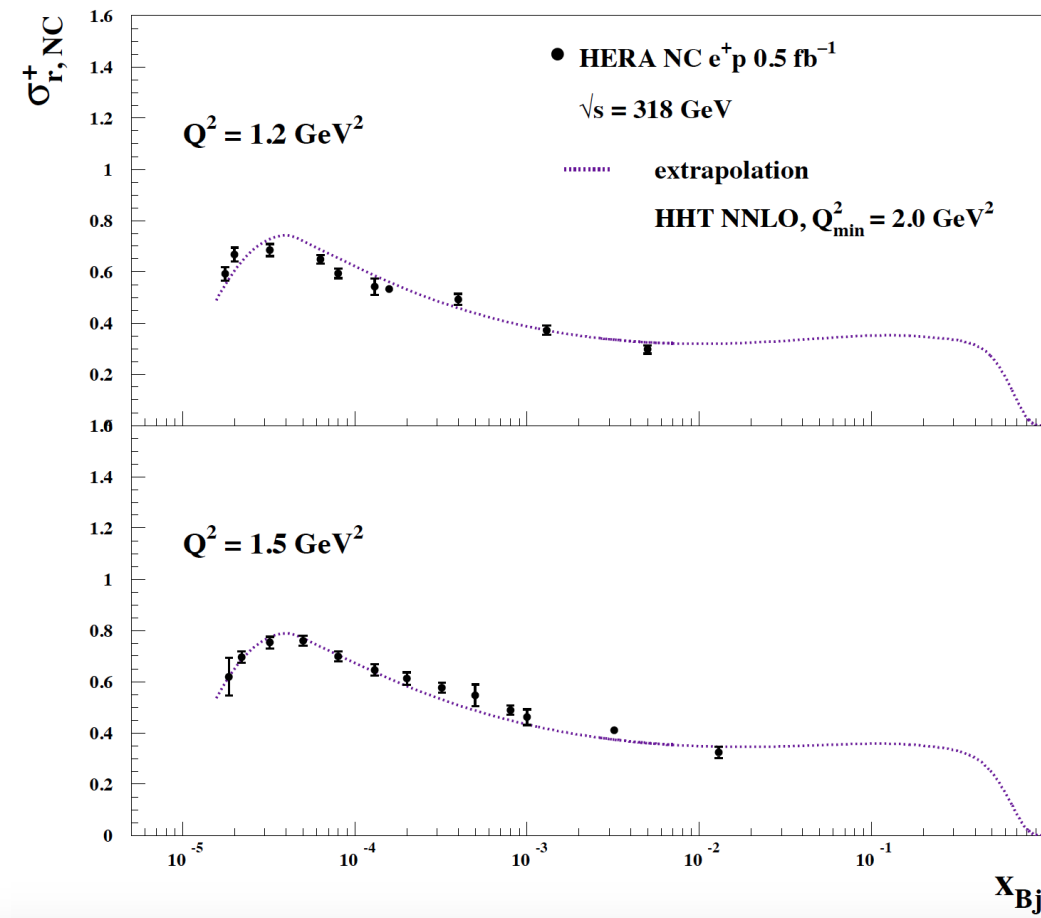
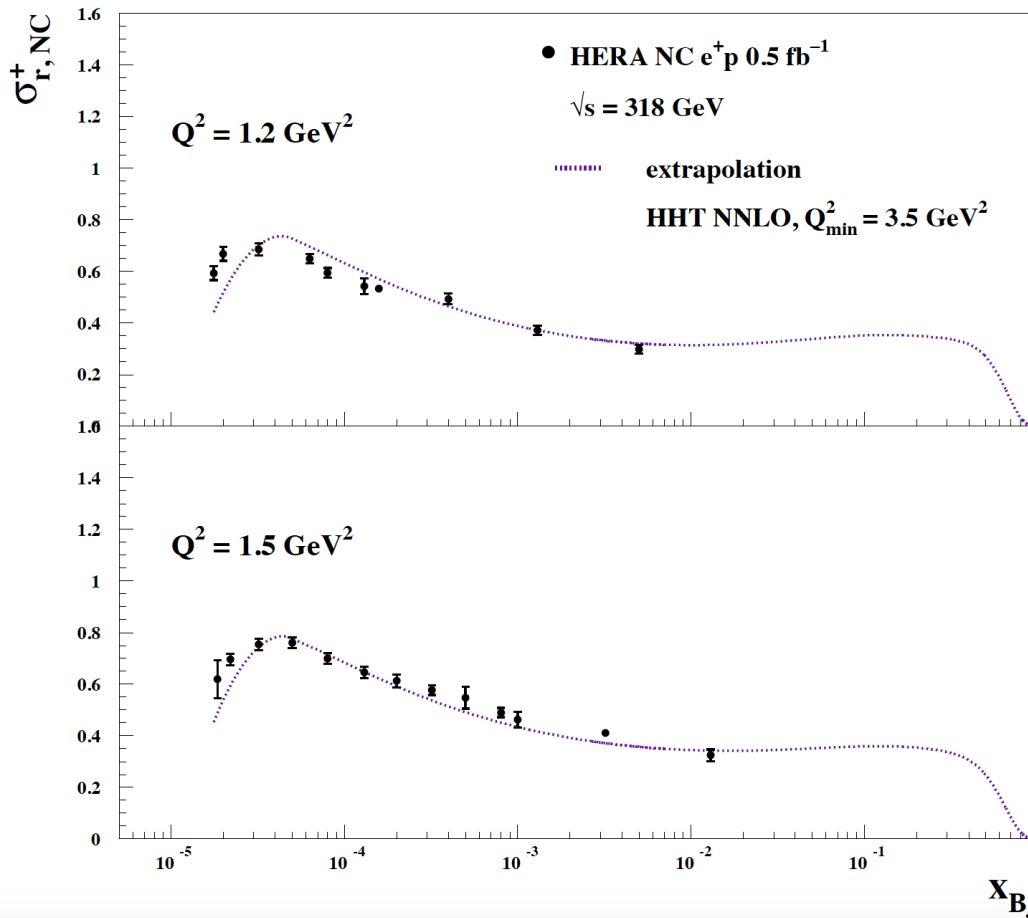


Look at  $F_2^{\text{extracted}} = F_2^{\text{predicted}} \sigma_{\text{red}}^{\text{measured}} / \sigma_{\text{red}}^{\text{predicted}}$



- $F_2$  obtained by correcting  $\sigma_{\text{red}}$  with predicted  $F_L$   $F_2 = \sigma_{\text{red}} + y_2/Y_+ F_L$
- predicted  $F_L$  too small  $\rightarrow F_2$  also too small  $\rightarrow$  seen in HERAPDF2.0  $F_2$  at low  $x$ ,  $Q^2$ 
  - **extracted  $F_2$  takes a turn over!**
  - not what pQCD  $F_2$  predictions say
- HHT predictions for  $F_L$  gives  $F_2$  extracted much closer to  $F_2$  predictions
- $F_2$  predictions very similar  $\rightarrow$  they depend ONLY on very similar PDFs

# Being even bolder, looking at extrapolation down to $Q^2 \sim 1 \text{ GeV}^2$



But beware... is this actually reasonable?  
What does  $F_L$  itself look like?