# Electroweak Physics with the LHeC+FCCeh

Definitions Measurements + Simulations Couplings EFT + h.o. Studies

Daniel Britzger, Max Klein, Hubert Spiesberger For the LHeC Study Group



http://lhec.web.cern.ch



DIS2018, Kobe, 19.4.2018

### Electroweak Physics Probing Nuclear Structure \*) Deep Inelastic Scattering Testing the Electroweak Theory

$$\mathbf{F}_{2}^{\pm} = F_{2} + \kappa_{Z} (-v_{e}^{\prime} \mp Pa_{e}) \cdot F_{2}^{\gamma Z} + \kappa_{Z}^{2} (v_{e}^{2} + a_{e}^{2} \pm 2Pv_{e}a_{e}) \cdot F_{2}^{Z}$$
  
$$\mathbf{x} \mathbf{F}_{3}^{\pm} = \kappa_{Z} (\pm a_{e} + Pv_{e}^{\prime}) \cdot x F_{3}^{\gamma Z} + \kappa_{Z}^{2} (\mp 2v_{e}a_{e} - P(v_{e}^{2} + a_{e}^{2})) \cdot x F_{3}^{Z} .$$

$$\begin{split} \kappa_Z(Q^2) &= \frac{Q^2}{Q^2 + M_Z^2} \cdot \frac{1}{4\sin^2\Theta\cos^2\Theta} & v_f = i_f - e_f 2\sin^2\Theta & a_f = i_f \\ & \left(F_2, F_2^{\gamma Z}, F_2^Z\right) &= x \sum (e_q^2, 2e_q v_q, v_q^2 + a_q^2)(q + \bar{q}) \\ & \left(xF_3^{\gamma Z}, xF_3^Z\right) &= 2x \sum (e_q a_q, v_q a_q)(q - \bar{q}), \end{split} \quad \boxed{\begin{array}{l} & \frac{e^2}{4\sqrt{2}} & \frac{2ev}{\sqrt{2}} \\ & \frac{1}{\sqrt{2}} & \frac{e^2}{\sqrt{2}} & \frac{2ev}{\sqrt{2}} \\ & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ & \frac{1}{\sqrt{2}} &$$

d 1/9

2/9

NC: yy, yZ, ZZ. Lepton beam helicity P,  $M_z$ , v and a couplings, PV through va CC: pure weak cross section ( $G_F$ ,  $M_W$ )  $\rightarrow$  3 independent variables, DIS: OMS

\*) M. Klein and T. Riemann<sup>1</sup>

Institut für Hochenergiephysik der AdW der DDR, DDR-1615 Berlin-Zeuthen

Received 19 October 1983 Z. Phys. C - Particles and Fields 24, 151-155 (1984)

## Reduced NC e<sup>-</sup>p Scattering Cross Section [P=-0.9, 10fb<sup>-1</sup>]



At small  $Q^2$ ,  $\sigma_r = F_2$ 

10<sup>6</sup>

10<sup>6</sup>

Both at x=0.2 (the point of Bj scaling) and at larger x (the region of gluon bremsstrahlung which makes F<sub>2</sub> decrease with  $Q^2$ ), the reduced NC cross section rises

### Polarisation Asymmetry and R=NC/CC

$$\frac{2}{P_L - P_R} \cdot A^{\pm} \simeq \mp \kappa_Z a_e \frac{F_2^{\gamma Z}}{(F_2 + \kappa_Z a_e Y_- x F_3^{\gamma Z} / Y_+)} \simeq \mp \kappa_Z a_e \frac{F_2^{\gamma Z}}{F_2}$$

$$\frac{2}{P_L - P_R} \cdot A^{\pm} \simeq \pm \kappa \frac{1 + d_v / u_v}{4 + d_v / u_v}.$$
Classic asymmetry (Prescott et al, 1978)  
accesses weak interaction,  $F_2^{\gamma Z}$  is a new,  
direct measure of valence quarks at high x

$$\begin{split} R^{\pm} &= \frac{\sigma_{NC}^{\pm}}{\sigma_{CC}^{\pm}} = \frac{2}{(1\pm P)\kappa_W^2} \cdot \frac{\sigma_{r,NC}^{\pm}}{\sigma_{r,CC}^{\pm}} & \text{R ac} \\ & \text{and} \\ R^{\pm} &\simeq \frac{2a_e^2}{(1\pm P)\cos^2\Theta} \cdot \frac{Y_+F_2^Z-Y_-PxF_3^Z}{Y_+W_2^\pm+Y_-xW_3^\pm} & \text{functions} \end{split}$$

R accesses weak interaction and the pure weak structure functions which are best measured at the LHeC/FCC-eh

Note that in experiment you would measure the cross sections and determine all correlations which is still more informative than A or R but contains their physics.

## **PV** Asymmetry in NC



HERA: 20% asymmetry at  $Q^2 = 10^4 \text{ GeV}^2$  A<sup>+</sup> = - A<sup>-</sup>



FCCeh: 40% integrated asymmetry for  $Q^2 > 10^4 \text{ GeV}^2$ , locally (x) much larger

### **Parity Violation Structure Function** $F_2^{yZ} = x \Sigma 2 e_q v_q (q + \bar{q})$



LHeC: 7 TeV, FCC-eh: 50 TeV,  $E_e$ =60 GeV, integrated L of 100 fb<sup>-1</sup> for P= +- 0.8



H1: arXiv:1207.7007: much smaller x and Q<sup>2</sup> range, imprecise, but first measurement ever

## **Charged Currents**

$$\frac{d^2 \sigma^{\rm CC}(e^{\pm} p)}{dx dQ^2} = (1 \pm P_e) \frac{G_{\rm F}^2}{4\pi x} \left[ \frac{m_W^2}{m_W^2 + Q^2} \right]^2 \left( Y_+ W_2^{\pm}(x, Q^2) \mp Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) + Y_- x W_3^{\pm}(x, Q^2) \right)^2 \right)^2 + \frac{1}{2} \left( Y_+ W_2^{\pm}(x, Q^2) \right)^2 \right)^2 \right)^2$$

$$W_2^- = x\left(U + \overline{D}\right), \quad xW_3^- = x\left(U - \overline{D}\right)$$
$$W_2^+ = x\left(\overline{U} + D\right), \quad xW_3^+ = x\left(D - \overline{U}\right)$$

Data sets:

 $1ab^{-1}P=-0.8$  to enlarge rate for WW $\rightarrow$  H

0.3ab<sup>-1</sup> P=+0.8 for eweak physics

0.1ab<sup>-1</sup> unpolarised with positrons



## Data (NC,CC) Simulation for QCD + el.weak Evaluation

Numerical treatment of correlated and uncorrelated systematic and statistical errors [based on PHE-1990-02 (J.Blümlein, M.Klein), cross checked with H1 Monte Carlo]

source of uncertainty	error on the source or cross section
scattered electron energy scale $\Delta E'_e/E'_e$	0.1~%
scattered electron polar angle	$0.1\mathrm{mrad}$
hadronic energy scale $\Delta E_h/E_h$	0.5%
calorimeter noise (only $y < 0.01$ )	1-3%
radiative corrections	0.5%
photoproduction background (only $y > 0.5$ )	1 %
global efficiency error	0.7%

- Assumptions gauged with H1, probably conservative.
- This approach determines full set of uncorrelated and correlated uncertainties
- ALL PDFs and electroweak fit results presented to this workshop have full systematic error
- This also holds for the LHeC CDR alphas analysis leading to 0.1-0.2% total uncertainty

### NC Cross Section Correlated Uncertainties (Q<sup>2</sup>=20000 GeV<sup>2</sup>)



Figure 3.3: Neutral current cross section errors, calculated for  $60 \times 7000 \,\text{GeV}^2$  unpolarised  $e^-p$  scattering, resulting from scale uncertainties of the scattered electron energy  $\delta E'_e/E'_e = 0.1 \,\%$ , of its polar angle  $\delta \theta_e = 0.1 \,\text{mrad}$  and the hadronic final state energy  $\delta E_h/E_h = 0.5 \,\%$ , at large  $Q^2 = 20000 \,\text{GeV}^2$  and correspondingly large x. Note that the characteristic behaviour of the relative uncertainty at large x, i.e. to diverge  $\propto 1/(1-x)$ , is independent of  $Q^2$ , i.e. persistently observed at  $Q^2 = 20000 \,\text{GeV}^2$  for example too.

From LHeC CDR

### NC Cross Section Correlated Uncertainties (Q<sup>2</sup>=2 GeV<sup>2</sup>)



Figure 3.2: Neutral current cross section errors, calculated for  $60 \times 7000 \,\text{GeV}^2$ , resulting from scale uncertainties of the scattered electron energy  $\delta E'_e/E'_e = 0.1$ %, of its polar angle  $\delta \theta_e = 0.1 \,\text{mrad}$  and the hadronic final state energy  $\delta E_h/E_h = 0.5$ %, at low  $Q^2 = 2 \,\text{GeV}^2$ and correspondingly low x.

From LHeC CDR

# Framework and Definitions

### PDF+EW-fit

- PDF fit in NNLO precision
  - ZM-VFNS using QCDNUM
  - 13 free PDF parameters

### EW calculations

- 1-loop EW corrections
- On-shell parameters are:  $(\alpha_{em}, m_z, m_w, \Delta r)$  with  $\Delta r = \Delta r(\alpha_{em}, m_w, m_z, m_t, m_H, ...)$

MSbar: Spiesberger/Dittmaier, in preparation

- $m_t$  and  $m_H$  enter through loop-corrections ( $\Delta r$ )
- $sin^2\theta_w$  and  $g_f$  are calculated quantities
- More general, also <u>vector</u> and <u>axial-vector</u> <u>couplings</u> are 'free' parameters

$$g_A^q = \sqrt{\rho_{\text{NC},q}} I_{\text{L},q}^3,$$
  

$$g_V^q = \sqrt{\rho_{\text{NC},q}} \left( I_{\text{L},q}^3 - 2Q_q \kappa_{\text{NC},q} \sin^2 \theta_W \right)$$
  

$$W_2^- = x \left( \rho_{\text{CC},eq}^2 U + \rho_{\text{CC},e\bar{q}}^2 \overline{D} \right), \quad xW_3^- = x \left( \rho_{\text{CC},eq}^2 U - \rho_{\text{CC},e\bar{q}}^2 \overline{D} \right)$$
  

$$W_2^+ = x \left( \rho_{\text{CC},eq}^2 \overline{U} + \rho_{\text{CC},e\bar{q}}^2 D \right), \quad xW_3^+ = x \left( \rho_{\text{CC},e\bar{q}}^2 D - \rho_{\text{CC},e\bar{q}}^2 \overline{U} \right)$$

cf H1 to be published, Z Zhang this conference

New: parameterise effective h.o. corrections as deviations  $\rho'$  and  $\kappa'$ 

 $\rho'_{\rm NC} \rightarrow \rho'_{\rm NC} \rho_{\rm NC}$  $\kappa'_{\rm NC} \rightarrow \kappa'_{\rm NC} \kappa_{\rm NC}$  $\rho'_{\rm CC} \rightarrow \rho'_{\rm CC} \rho_{\rm CC}$ 

W.Hollik, CERN-TH.5547/1989

### W,Z, top [loop] Masses [from inclusive data only] at LHeC/FCCeh





with LHeC PDFs (S Camarda)

MZ similar. H and t from loops for consistency measurable directly with much better accuracy.

## Masses from inclusive NC+CC Cross Sections

Parameter	HERA	LHeC	FCC-eh
$\Delta m_W$ [MeV]	±63 <sub>(exp)</sub> 29 <sub>(pdf)</sub>	$\pm 14_{(exp)}10_{(pdf)}$	$\pm 9_{(exp)}4_{(pdf)}$
$\Delta m_Z$ [MeV]	$\pm 56_{(exp)}25_{(pdf)}$	$\pm 16_{(exp)}10_{(pdf)}$	$\pm 16_{(exp)} 10_{(pdf)}$
$\Delta m_t$ [GeV]	$\pm 10_{(exp)}5_{(pdf)}$	$\pm 2.6_{(exp)}1.7_{(pdf)}$	$\pm 1.7_{(exp)}0.5_{(pdf)}$
$\Delta m_H$ [GeV]	$> O(100 \mathrm{GeV})$	$\pm 31_{(exp)}22_{(pdf)}$	$\pm 20_{(exp)}4_{(pdf)}$

Table 4: Summary of electroweak parameters from HERA-II data and LHeC and FCC-ep simulated data.

#### OMS: W,Z direct. top. Higgs through loops

1987 expected 100 MeV for MW [JB, MK, TR] at HERA

## Light up Quark NC Couplings



## Light down Quark NC Couplings



# First preliminary Global Electroweak Analysis FCC ee+eh

J de Blas (Amsterdam FCC week)



FCC-eh (and LHeC) has much more information to provide than up + down NC couplings. -We can measure the interference parts of  $F_2^{cc}$  and  $F_2^{bb} \rightarrow$  get v and a couplings for c,b -Scale dependence of  $\sin^2\Theta_w(Q)$  for Q ~ 300 MeV (PERLE) to 1 TeV (LHeC), 3 TeV (FCCeh) [low scales: elastic lepton-nucleon scattering MK T Riemann, Z Phys C8 (81) 239: Jlab, MESA]

# Charm $F_2^{cc}$ and Mass



 $\epsilon$ (c) assumed 10%, 1% light background, ~3%  $\delta$ (syst)

#### Heavy Flavour with LHeC

Beam spot (in xy):  $7\mu$ m Impact parameter: better than  $10\mu$ m Modern Silicon detectors, no pile-up Higher E, L, Acceptance,  $\varepsilon$ , than at HERA  $\rightarrow$  Huge improvements predicted

	HERA	LHeC
m <sub>c</sub> (m <sub>c</sub> )/GeV	1.26	?
δ(exp)	0.05	0.003
δ(mod)	0.03	~0.002
δ(par)	0.02	~0.002
δ(α <sub>s</sub> )	0.02	0.001

LHeC determines strong coupling to 0.1% High precision PDF data will reduce the mod and par errors by a very large amount.

Determination of charm mass to 3 MeV: crucial for  $M_W$  in pp or  $H \rightarrow cc$  in ep cf also NNPDF3.1 (arXiv:1706.00428) and refs

## First preliminary Global Electroweak Analysis FCC ee+eh

#### Combination of ee and ep; Test of SM to O(20) TeV; a Model also for LHeC + e<sup>+</sup>e<sup>-</sup> wherever



$$\mathcal{L}_{\rm NC} = -\frac{e}{sc} (1 + \delta^U g_{\rm NC}) Z_{\mu} \sum_{\psi} \overline{\psi^i} \gamma^{\mu} \Big[ \Big( g_L^{\psi} \delta_{ij} + (\delta^D g_L^{\psi})_{ij} \Big) P_L + \Big( g_R^{\psi} \delta_{ij} + (\delta^D g_R^{\psi})_{ij} \Big) P_R + \delta^Q g_{\rm NC} \delta_{ij} \Big] \psi^{\psi} \mathcal{O}_{\phi f}^{(1)} = (\phi^{\dagger} i \overleftrightarrow{D}_{\mu} \phi) (\overline{f} \gamma^{\mu} f) \qquad \mathcal{O}_{\phi f}^{(3)} = (\phi^{\dagger} i \overleftrightarrow{D}_{\mu}^{a} \phi) (\overline{f} \gamma^{\mu} \sigma_a f) \qquad \dots \qquad \text{J De Blas}$$

# Definitions of $\rho'$ and $\kappa's$

#### Neutral current

Universal higher-order corrections are be taken into account by  $Q^2$ -dependent form factors  $\rho_{\rm NC}$  and  $\kappa_{\rm NC}$ . Many extensions of the Standard Model predict modifications of the weak neutralcurrent couplings. These can be described conveniently by introducing additional parameters  $\rho'_{\rm NC}$  and  $\kappa'_{\rm NC}$ , which can be also considerd to be  $Q^2$  dependent:

$$g_A^f = \sqrt{\rho_{\text{NC},f} \rho_{\text{NC},f}'} I_{\text{L},f}^3, \qquad (1)$$

$$g_V^f = \sqrt{\rho_{\text{NC},f} \rho_{\text{NC},f}'} \left( I_{\text{L},f}^3 - 2Q_f \kappa_{\text{NC},f} \kappa_{\text{NC},f}' \sin^2 \theta_W \right) \,. \tag{2}$$

The estimated relative uncertainties of the  $\rho'_{NC}$  or  $\kappa'_{NC}$  achieved with the LHeC or FCC-eh data, can also be interpreted as the relative uncertainty of a direct determination of the  $\rho_{NC}$  parameters or  $\sin^2 \theta_w^{\text{eff}}$ .

#### Charged current

Higher-order EW corrections to the CC cross sections are collected in form factors  $\rho_{CC,eq/e\bar{q}}$ . Similarly as for NC, modifications of the SM formalism can be expressed by introducing the additional  $\rho'_{CC}$  parameters:

$$W_2^- = x \left( (\rho_{\text{CC},eq} \rho_{\text{CC},eq}')^2 U + (\rho_{\text{CC},e\bar{q}} \rho_{\text{CC},e\bar{q}}')^2 \overline{D} \right), \tag{3}$$

$$xW_3^- = x\left((\rho_{\mathrm{CC},eq}\rho_{\mathrm{CC},eq}')^2 U - (\rho_{\mathrm{CC},e\bar{q}}\rho_{\mathrm{CC},e\bar{q}}')^2 \overline{D}\right),\tag{4}$$

$$W_2^+ = x \left( (\rho_{\text{CC},eq} \rho_{\text{CC},eq}')^2 \overline{U} + \rho_{\text{CC},e\bar{q}} \rho_{\text{CC},e\bar{q}}')^2 D \right),$$
(5)

$$xW_3^+ = x\left((\rho_{\mathrm{CC},e\bar{q}}\rho_{\mathrm{CC},e\bar{q}}')^2 D - \rho_{\mathrm{CC},eq}\rho_{\mathrm{CC},eq}')^2 \overline{U}\right). \tag{6}$$







Test of eweak SM in NC to permille level.  $\kappa$  uncertainty describes sin<sup>2</sup> $\theta$  sensitivity.

Test of eweak theory in space like configuration. Precision vs scale  $\mu=VQ^2$ 



Test of eweak SM in CC to few permille level. Quark-Antiquark distinction. Note that CC at H1 is large x dominated  $\rightarrow$  reduced sensitivity to eqbar Test of eweak theory in space like configuration. Precision vs scale  $\mu$ =VQ<sup>2</sup>

# Summary

Study of electroweak effects in NC and CC inclusive cross sections performed. Full consideration of experimental, syst+stat uncertainties [as in  $\alpha_{c}$  analysis]. Joint QCD (PDF) and electroweak analysis. PDFs do not dominate eweak tests.  $s=Q_{max}^2 = 4E_eE_p = 1.7 \text{ TeV}^2$  (LHeC) and 12 TeV<sup>2</sup> >>  $M_{W,Z}^2$ . Very large luminosity  $\rightarrow$ High precision measurements  $\rightarrow$  New laboratory for testing EW SM at new scales. Initial determination of light quark couplings done, to 1% precision. Novel parameterisation of h.o. effects in NC and CC couplings, including  $\sin^2\theta$ . Measurement of scale dependence with unique and unprecedented precision. First joint EFT and coupling fit analysis done for future ee and ep colliders (FCC). Next: Formulation of DIS in MSbar, Tests for c,b (e) couplings. LHeC & e<sup>+</sup>e<sup>-</sup>, ...

## backup

# PDFs and their effect on electroweak physics

FCC-eh and LHeC:Input: high precision (stat+syst) data on Neutral Current (x: 10<sup>-6</sup>-1; Q<sup>2</sup>:1-10<sup>6</sup>) Charged Current (10<sup>-4</sup>-1; 100-10<sup>6</sup>) Tagging of Charm and Beauty with high precision and coverage. ep (eD)

### **Completely new PDF Programme**

Determine ALL pdfs in a coherent way + the strong coupling to 0.1% accuracy No higher twists, no nuclear corrections, no symmetry assumptions, N<sup>3</sup>LO

 $\rightarrow$  ubar, uv, dbar, dv, s, c, b, t, xg and alpha<sub>s</sub>

This essentially removes the PDF uncertainties on the electroweak variables, in ep but as well for pp.

For the Higgs this means that ep can turn pp into a precision Higgs facility

### **Definitions** (J De Blas, Amsterdam FCC week)

EWPO sensitive to modifications of NC couplings

$$\mathcal{L}_{\rm NC} = -\frac{e}{sc} \big(1 + \delta^U g_{\rm NC}\big) Z_{\mu} \sum_{\psi} \overline{\psi^i} \gamma^{\mu} \Big[ \Big( g_L^{\psi} \delta_{ij} + (\delta^D g_L^{\psi})_{ij} \Big) P_L + \Big( g_R^{\psi} \delta_{ij} + (\delta^D g_R^{\psi})_{ij} \Big) P_R + \delta^Q g_{\rm NC} \delta_{ij} \Big] \psi^j$$

#### Flavor non-universal contributions

$$\begin{split} \delta^D g_L^{\stackrel{\nu}{e}} &= -\frac{1}{2} \left( C_{\phi l}^{(1)} \mp C_{\phi l}^{(3)} \right) \frac{v^2}{\Lambda^2}, \qquad \delta^D g_R^e = -\frac{1}{2} C_{\phi e}^{(1)} \frac{v^2}{\Lambda^2} \\ \delta^D g_L^{\stackrel{u}{d}} &= -\frac{1}{2} \left( C_{\phi q}^{(1)} \mp C_{\phi q}^{(3)} \right) \frac{v^2}{\Lambda^2}, \qquad \delta^D g_R^{\stackrel{u}{d}} = -\frac{1}{4} C_{\phi d}^{(1)} \frac{v^2}{\Lambda^2} \end{split}$$

Flavor-universal contributions

 $\delta^U g_{
m NC} = -rac{1}{2} \left[ \Delta_{G_F} + rac{C_{\phi D}}{2} 
ight] rac{v^2}{\Lambda^2}$ 

 $\delta^Q g_{
m NC} = -Q \left( rac{sc}{c^2 - s^2} C_{\phi WB} + rac{s^2 c^2}{c^2 - s^2} \left[ \Delta_{G_F} + rac{C_{\phi D}}{2} 
ight] 
ight) rac{v^2}{\Lambda^2}$ 

10 Operators

$$egin{aligned} \mathcal{O}_{\phi f}^{(1)} &= (\phi^\dagger i \overleftrightarrow{D}_\mu \phi) (\overline{f} \gamma^\mu f) \ \mathcal{O}_{\phi f}^{(3)} &= (\phi^\dagger i \overleftrightarrow{D}_\mu^a \phi) (\overline{f} \gamma^\mu \sigma_a f) \end{aligned}$$

$$egin{split} \mathcal{O}_{\phi D} &= \left| \phi^\dagger i D_\mu \phi 
ight|^2 \ \mathcal{O}_{\phi WB} &= (\phi^\dagger \sigma_a \phi) W^a_{\mu 
u} B^{\mu 
u} \end{split}$$

Indirect effect associated to modifications in µ decay (G<sub>F</sub>)

$$\Delta_{G_F} = \left( C_{\phi l}^{(3)} \right)_{22} + \left( C_{\phi l}^{(3)} \right)_{11} - (C_{ll})_{1221}$$

 $\mathcal{O}_{ll} = (\overline{l}\gamma_{\mu}l)(\overline{l}\gamma^{\mu}l)$ 

# High Precision for the LHC



W-boson mass preliminary expected uncertainites HERA LHeC FCC ----LHeC & FCC HOH **PDG** [2016] ± 15 MeV 83.4 83.45 m<sub>w</sub> [GeV] 83.3 83.35 Inner errors: exp. only Outer errors: exp. + PDF

#### Spacelike $M_w$ to 10 MeV from ep $\rightarrow$ Electroweak thy test at 0.01% !

Predict the Higgs cross section in pp to 0.2% precision which matches the M<sub>H</sub> measurement and removes the PDF error

Predict  $M_w$  in pp to 2.8 MeV  $\rightarrow$ Remove PDF uncertainty on  $M_w$  LHC