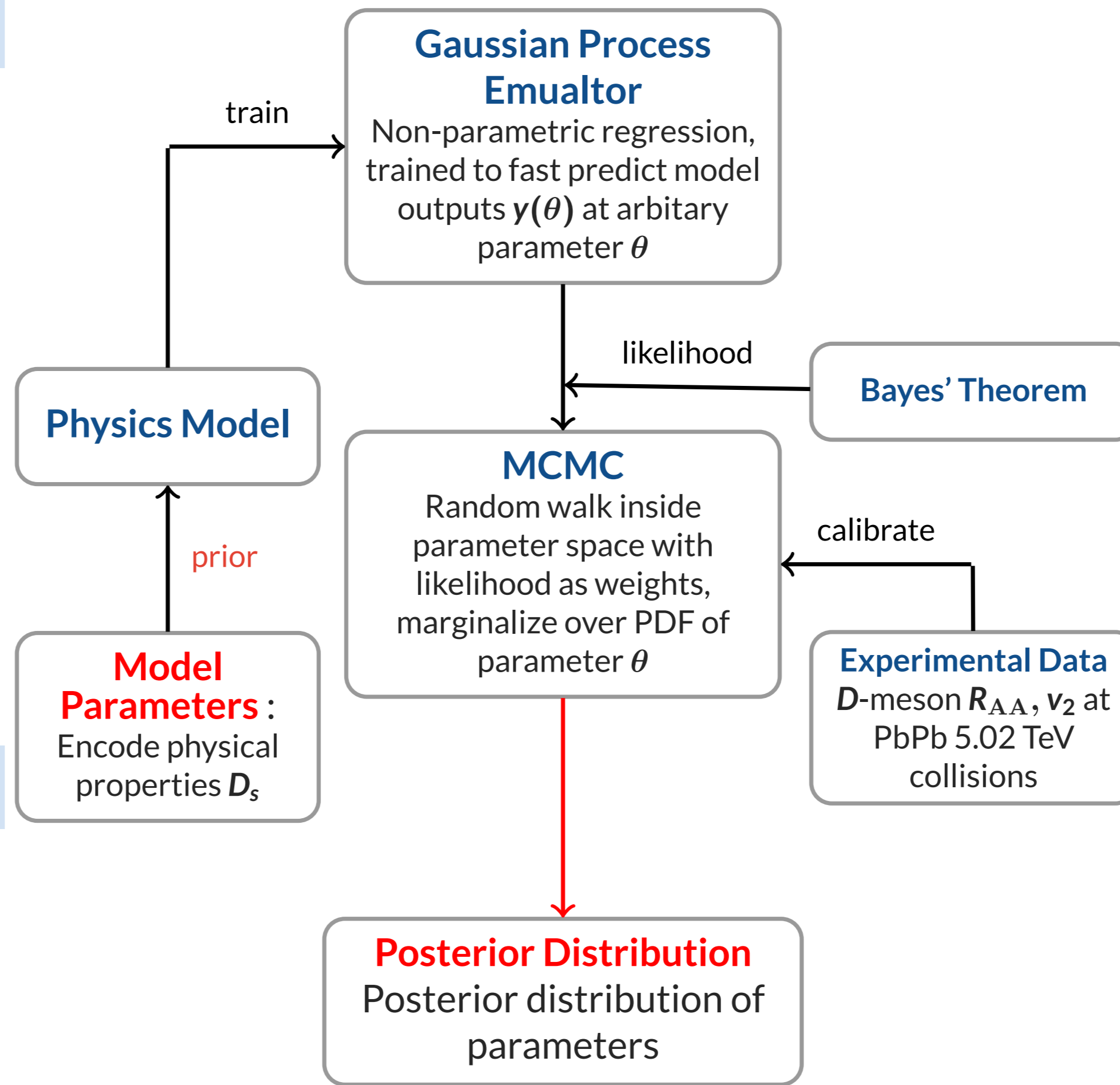


Model: improved Langevin dynamics with radiative energy loss

- Initial conditions: $T_{\text{REnto}} + \text{FONLL}$
- In-medium propagation: $\frac{d\vec{p}}{dt} = -\eta_D(\mathbf{p})\vec{p} + \vec{\xi} + \vec{f}_g$
 - drag: $\eta_D(\mathbf{p}) = \frac{2\pi T^2}{E} \cdot \frac{1}{[D_s 2\pi T]}$
 - thermal noise: $\langle \xi_i \xi_j \rangle = \frac{4\pi T^3}{[D_s 2\pi T]} \delta_{ij}$
 - gluon radiation: $\vec{f}_g \Delta t = -\sum_{i=1}^{(N_g)} \vec{p}_{g,i}$
where $\langle N_g \rangle = \int dt dx dk_{\perp}^2 \frac{2\alpha_s P(x)}{\pi k_{\perp}^4} \sin^2\left(\frac{t-t_i}{2\tau}\right) \left(\frac{k_{\perp}^2}{k_{\perp}^2 + x^2 M^2}\right)^4 \cdot \frac{8\pi T^3}{[D_s 2\pi T]}$
- Hadronization: fragmentation + recombination; Hadronic stage: UrQMD
- Medium evolution: $T_{\text{REnto}} + \text{iEBe-vishnu} + \text{UrQMD}$

Model Parameters: $D_s \rightarrow \theta$

$$D_s 2\pi T = \frac{1}{1 + (\gamma^2 p)^2} \cdot \left[\alpha \left(1 + \beta \left(\frac{T}{T_c} - 1 \right) \right) \right] + \frac{(\gamma^2 p)^2}{1 + (\gamma^2 p)^2} \cdot [D_s 2\pi T]^{\text{pQCD}}(\alpha_s)$$



Goal: model to data comparison

- Simultaneously describe experimental data y_{exp}
- Quantitatively estimate diffusion coefficient D_s
- Systematically compare between different models

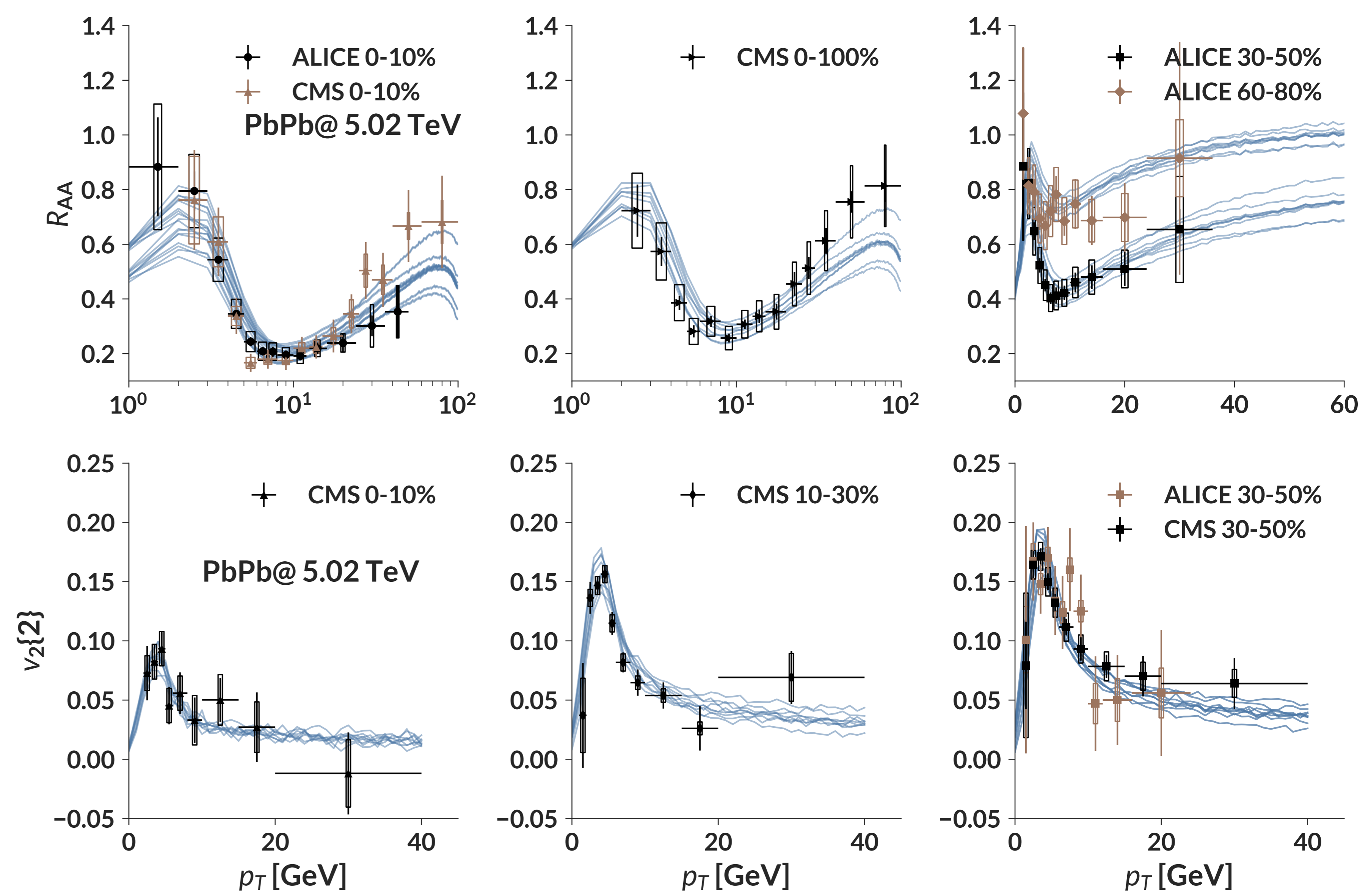
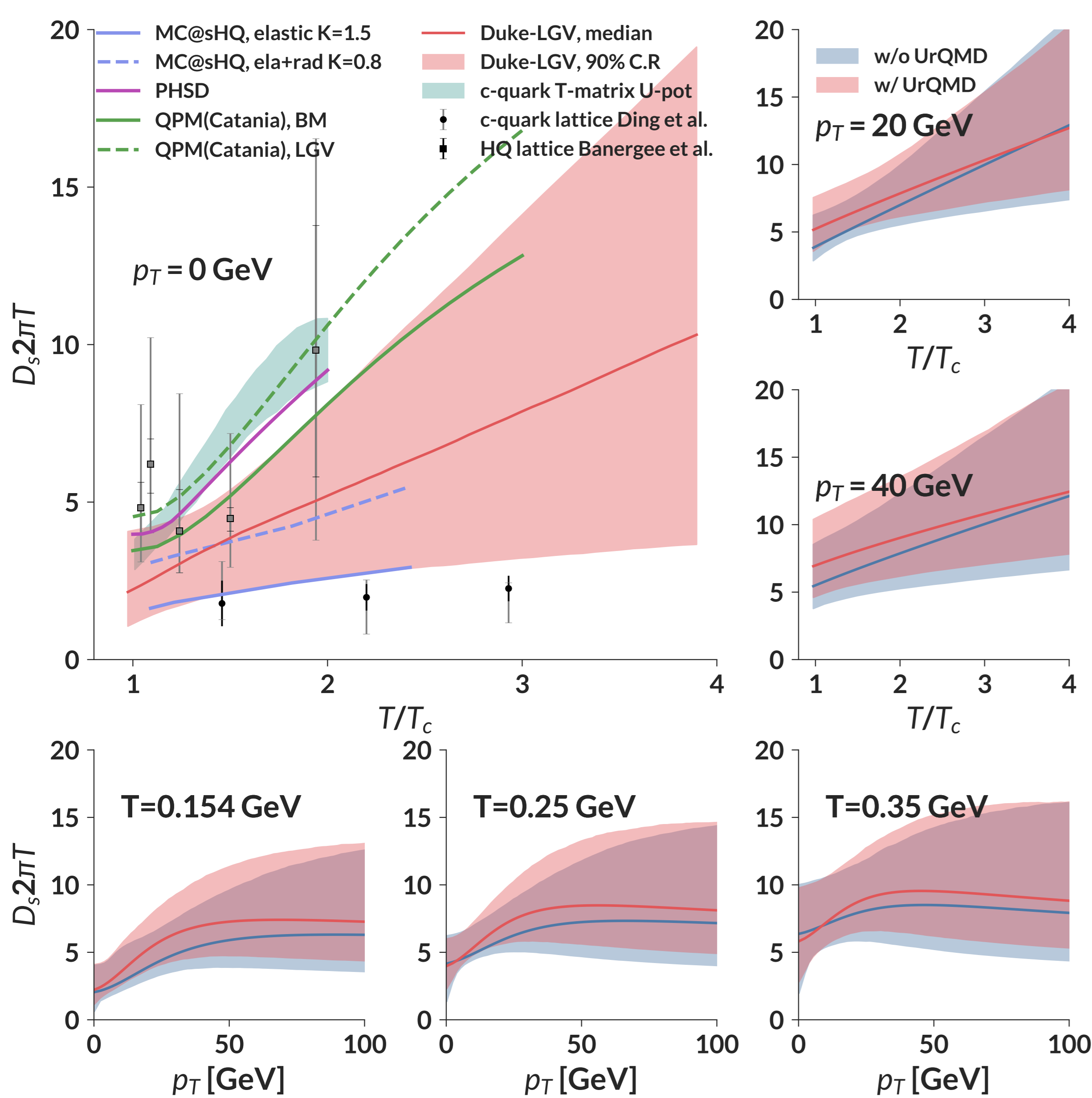
Methodology

Bayes' Theorem:

$$p(\theta | y = y_{\text{exp}}) \propto p(\theta) \times \mathcal{L}(y = y_{\text{exp}} | \theta)$$

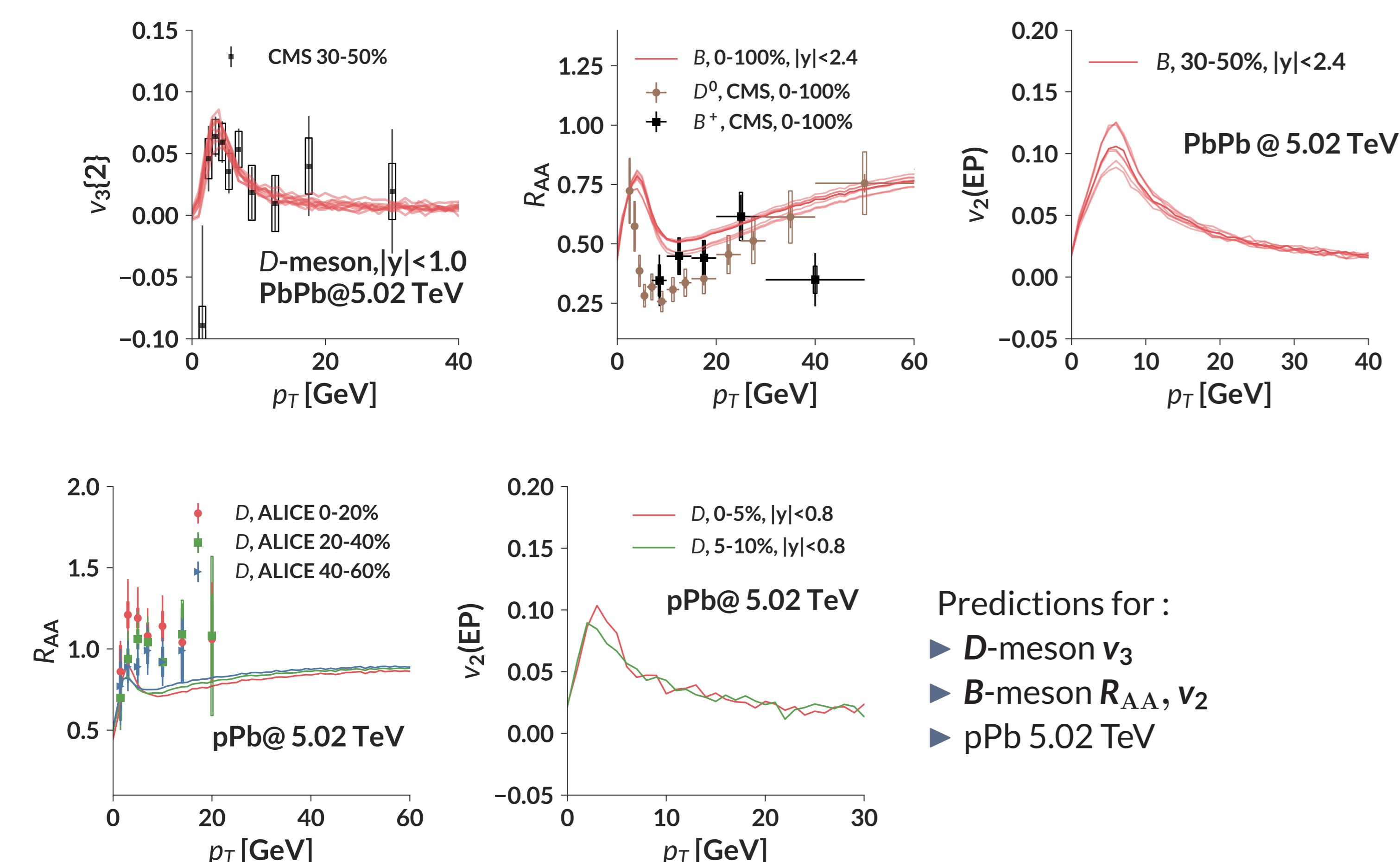
- Likelihood: $\mathcal{L}(y = y_{\text{exp}} | \theta) \propto \exp[-(y(\theta) - y_{\text{exp}}) \Sigma^{-1} (y(\theta) - y_{\text{exp}})^T]$
- Covariance matrix: $\Sigma = \Sigma_{\text{exp}} + \Sigma_{\text{model}} + \Sigma_{\text{GP}}$

Calibration results



• After calibration, improved Langevin describes D -meson R_{AA} and v_2 data

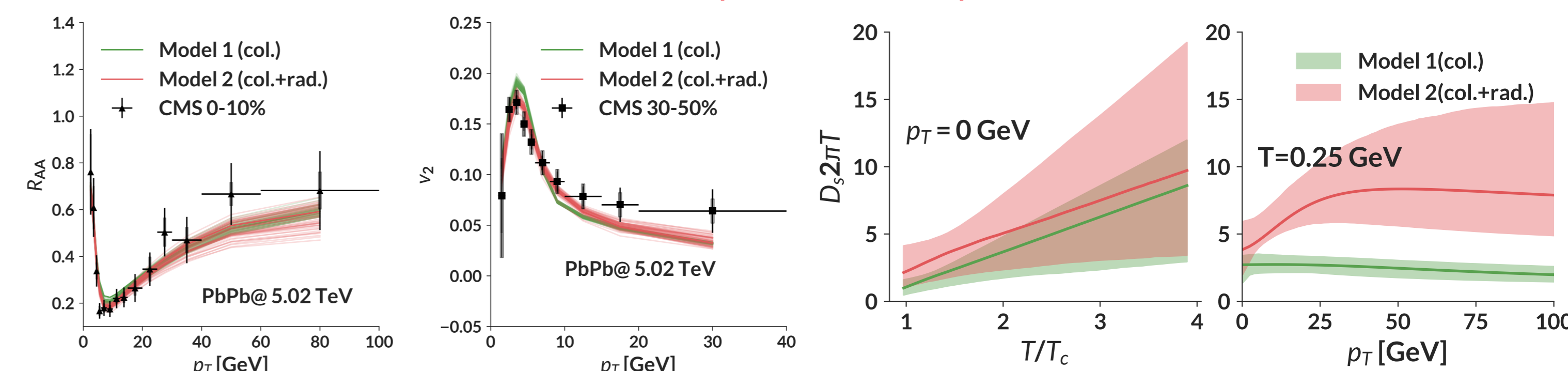
Model Predictions



Predictions for :
 ▶ D -meson v_3
 ▶ B -meson R_{AA} , v_2
 ▶ pPb 5.02 TeV

Bayes factor: differentiate between different models

- Model 1: collisional energy loss; Model 2: collisional + radiative energy loss
- After calibration, both models describe experimental R_{AA} and v_2 yet with different D_s :
 $M_1 \leftrightarrow D_{s1}, M_2 \leftrightarrow D_{s2}$
- Question: which of the models is more compatible with experimental data?



- Utilize other observables (e.g. two particle correlations)
- Bayes Factor K : provides comparative quality measurement between two models (posterior distributions)

▷ ratio of (marginalized) likelihood of two competing hypothesis/models

$$K = \frac{p(y_{\text{exp}} | M_1)}{p(y_{\text{exp}} | M_2)} = \frac{\int p(\theta_1 | M_1) \mathcal{L}(y_{\text{exp}} | \theta_1, M_1) d\theta_1}{\int p(\theta_2 | M_2) \mathcal{L}(y_{\text{exp}} | \theta_2, M_2) d\theta_2}$$

- ▷ $K < 1$: support M_2 ; $K > 100$: strongly support M_1
- ▷ $K(\frac{\text{col.}}{\text{col.+rad.}}) < 0.01 \rightarrow$ Strongly favors col.+rad. energy loss model

Conclusion and outlook

- Extraction of $D_s 2\pi T$
- Prediction for D -meson v_3 in PbPb 5.02 TeV and R_{AA} , v_2 in p-Pb collisions
- Hadronic rescattering has minor impact on QGP phase D_s extraction
- Bayes factor strongly favors col.+rad. model over pure col. model

Outlook

- Pre-equilibrium dynamics of heavy quarks
- Comparison between different transport models, such as an improved Langevin model and Linearized Boltzmann model

Reference

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- ALICE: Phys. Rev. Lett. **120** (2018) no.10, 102301; EPJ Web Conf. **17**, 11800 (2018); CMS: Phys. Rev. Lett. **119**, no. 15, 152301 (2017); arXiv:1708.03497; arXiv: 1708.04962.
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