

# Higgs & EWSB @FCC-hh

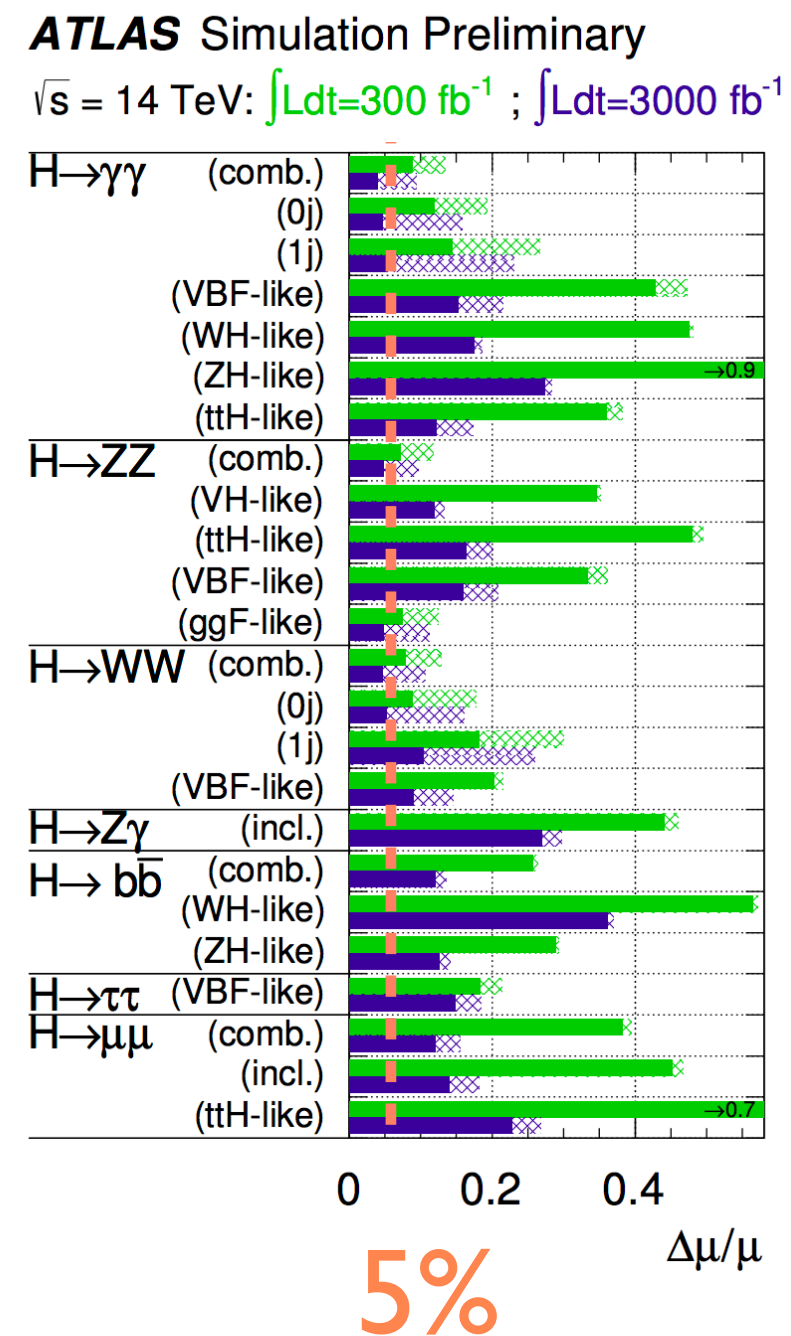
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and

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# Why measuring Higgs @FCC-hh?

## LHC

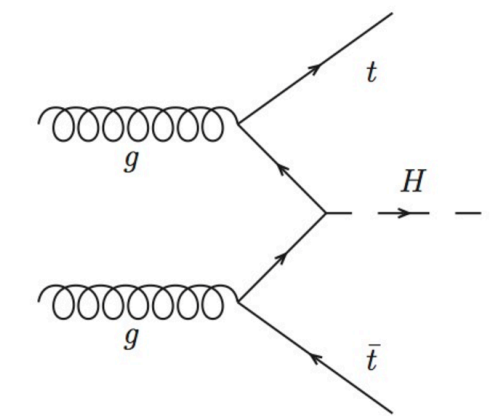
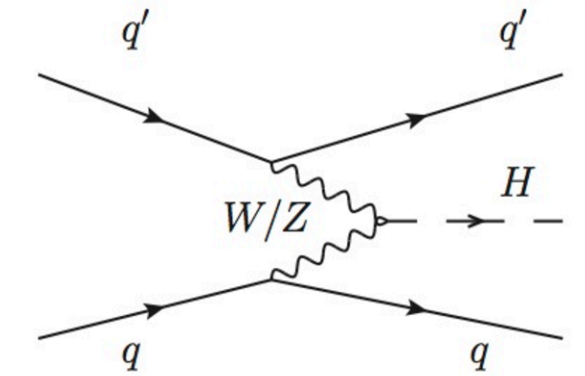
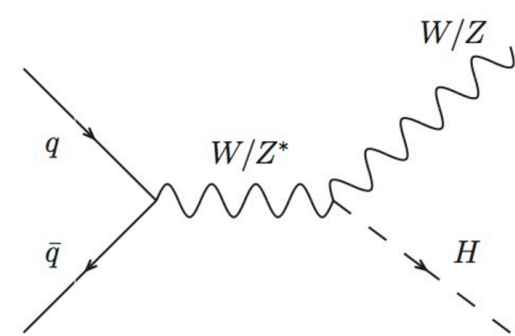
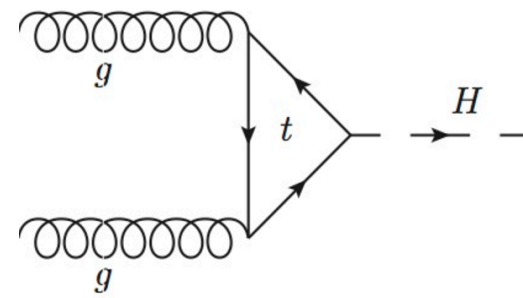


- Higgs precision measurements are **guaranteed deliverables**, because we know the Higgs exists...
- Potential **deviations on Higgs couplings** might indicate presence of new physics
- FCC-hh provides complementary measurements to FCC-ee:
  - rare decays (BR(μμ), BR(Zγ), ratios, ..) measurements will be statistically limited at FCC-ee
  - top Yukawa and Higgs self-coupling
- Directly test unitarisation of VBS by measuring  $W_L W_L$  and  $Z_L Z_L$  (not accessible at HL-LHC)

## FCC-ee

in %	FCC-ee 240 GeV	+FCC-ee 350 GeV
$g_{HZ}$	0.21	0.21
$g_{HW}$	1.25	0.43
$g_{Hb}$	1.25	0.64
$g_{Hc}$	1.49	1.04
$g_{Hg}$	1.59	1.18
$g_{H\tau}$	1.34	0.81
$g_{H\mu}$	8.85	8.79
$g_{H\gamma}$	2.37	2.12
$\Gamma_H$	2.61	1.55

# Higgs production at FCC-hh



	$\sigma(13 \text{ TeV})$	$\sigma(100 \text{ TeV})$	$\sigma(100)/\sigma(13)$
ggH (N <sup>3</sup> LO)	49 pb	803 pb	16
VBF (N <sup>2</sup> LO)	3.8 pb	69 pb	16
VH (N <sup>2</sup> LO)	2.3 pb	27 pb	11
ttH (N <sup>2</sup> LO)	0.5 pb	34 pb	55

	$N_{100}$	$N_{100}/N_8$	$N_{100}/N_{14}$
$gg \rightarrow H$	$16 \times 10^9$	$4 \times 10^4$	110
VBF	$1.6 \times 10^9$	$5 \times 10^4$	120
WH	$3.2 \times 10^8$	$2 \times 10^4$	65
ZH	$2.2 \times 10^8$	$3 \times 10^4$	85
ttH	$7.6 \times 10^8$	$3 \times 10^5$	420

$$N_{100} = \sigma_{100\text{TeV}} \times 20 \text{ ab}^{-1}$$

$$N_8 = \sigma_{8\text{TeV}} \times 20 \text{ fb}^{-1}$$

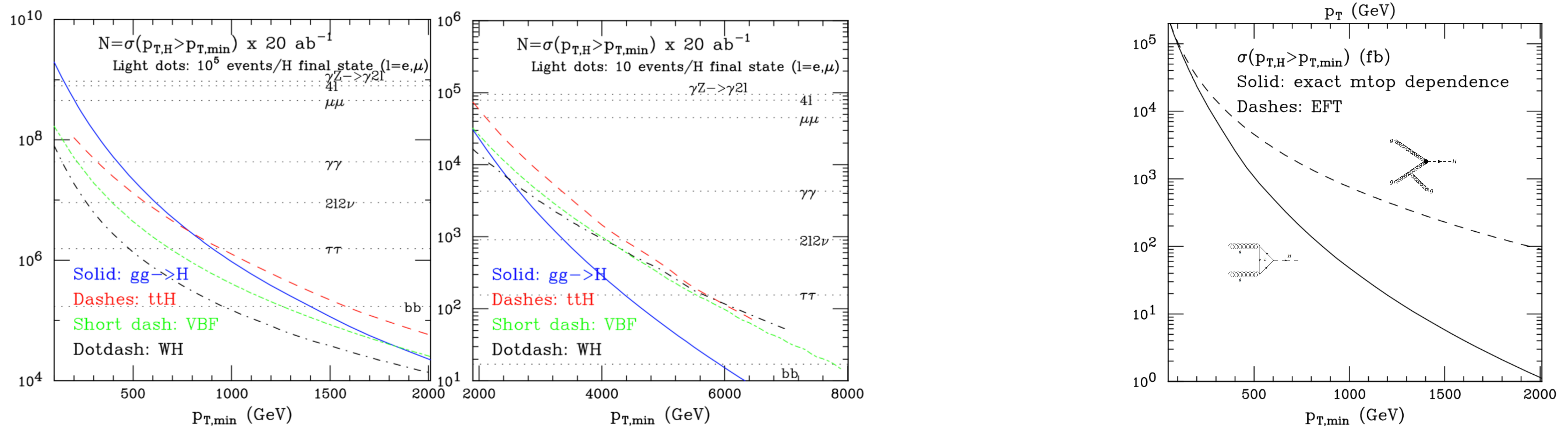
$$N_{14} = \sigma_{14\text{TeV}} \times 3 \text{ ab}^{-1}$$

Factor:  $1/100$   $1/10$  reduction in stat. unc.

- Large statistics will allow to isolate cleaner samples in regions with:
  - higher S/B
  - smaller impact of systematics

# Higgs $N(p_T > p_{T,\min})$

from 100 TeV Higgs report



- will have at disposal,  $\sim 10^6$  Higgs bosons at  $p_T(H) > 1 \text{ TeV}$
- $ttH$  (VBF) overcomes  $ggH$  at  $p_T > 800$  (2000) GeV, distinctive signatures can be used
- Higgs  $p_T$  spectrum is an indirect probe for new physics modifying, e.g.  $ggH$  coupling
  - heavy states running in the loop
  - complementary to Hgg measurement in  $e^+ e^-$

# Outline

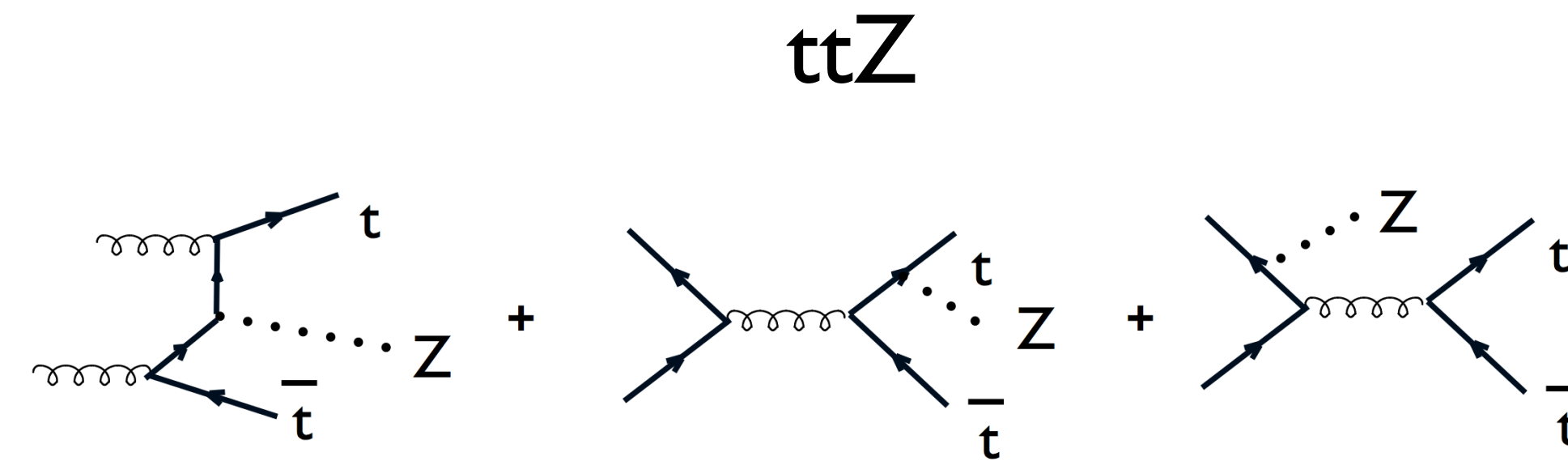
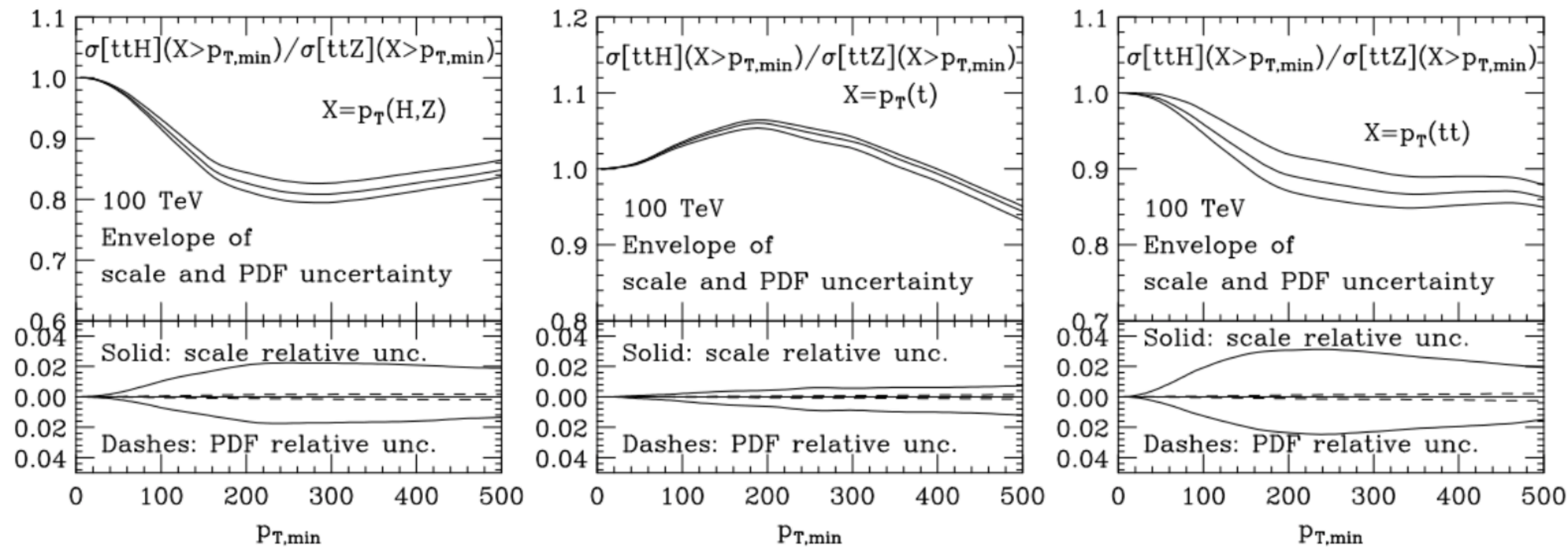
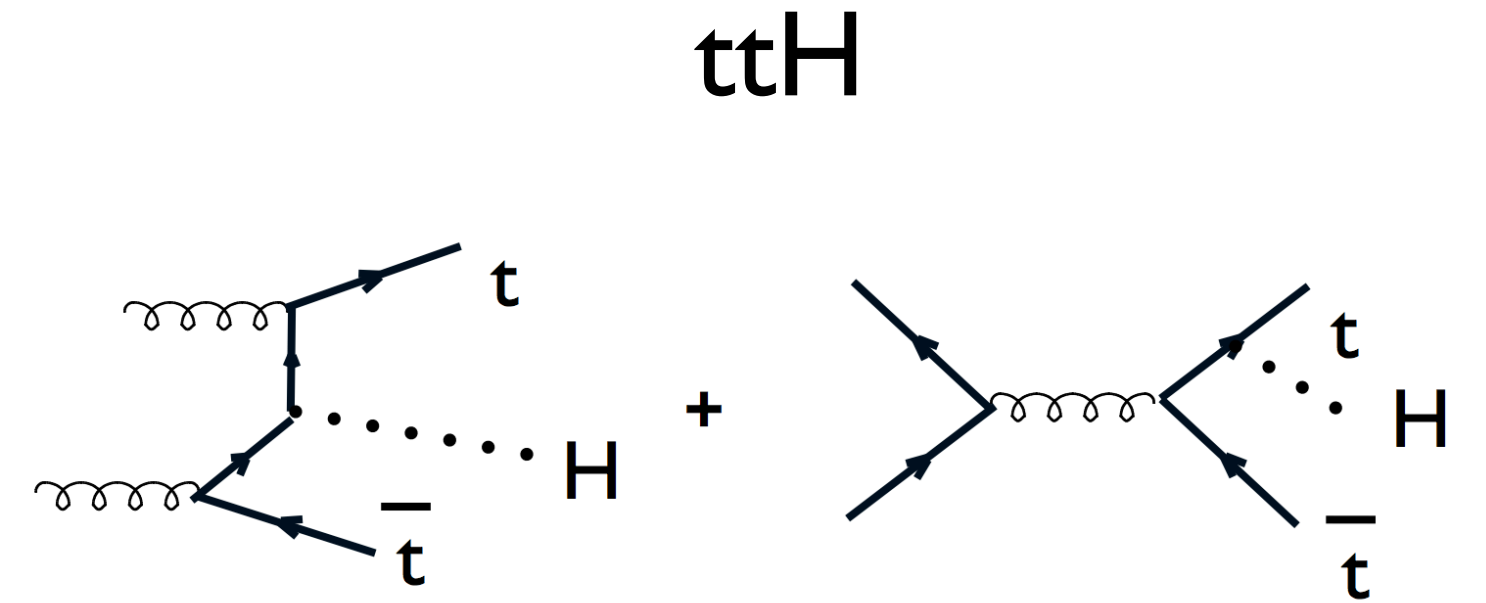
- Will discuss prospects for Higgs coupling measurements at FCC-hh, by looking at following processes (all decays with exception on ttH):
  - $ttH \rightarrow bb$  boosted
  - $H \rightarrow \gamma\gamma$ ,
  - $H \rightarrow ZZ \rightarrow 4l$
  - $H \rightarrow \mu\mu$
  - $H \rightarrow Z\gamma$
- All signal and background samples have been generated via the following chain (using the FCCSW):
  - **MG5aMC@NLO + Pythia8**
    - LO (MLM) matched samples (up to 1/2/3 jets ) and global K-factor applied to account for N<sup>2/3</sup>LO corrections
    - full list of signal prod. modes simulated (ggH with finite  $m_{top}$ )
  - **Delphes-3.4.2** with baseline FCC-hh detector
  - Full list of samples can be found here:

<http://fcc-physics-events.web.cern.ch/fcc-physics-events/LHEevents.php>



# Top Yukawa

- Several possible channels to measure top yukawa:
  - $ttH \rightarrow bb$ , boosted [arXiv:1507.08169]
  - $ttH \rightarrow WW, ZZ \rightarrow$  multileptons (in progress)
  - $ttH \rightarrow \gamma\gamma$  (in progress)
- $ttH$  and  $ttZ$  have very similar production dynamics, with highly correlated systematics:
- $\sigma(ttH)/\sigma(ttZ)$  can be predicted with  $< 1\%$  precision across a large kinematic range



# Measurement

• Measure  $ttH/ttZ$  ratio in the  $H \rightarrow bb, Z \rightarrow bb$  channel

• Final state:

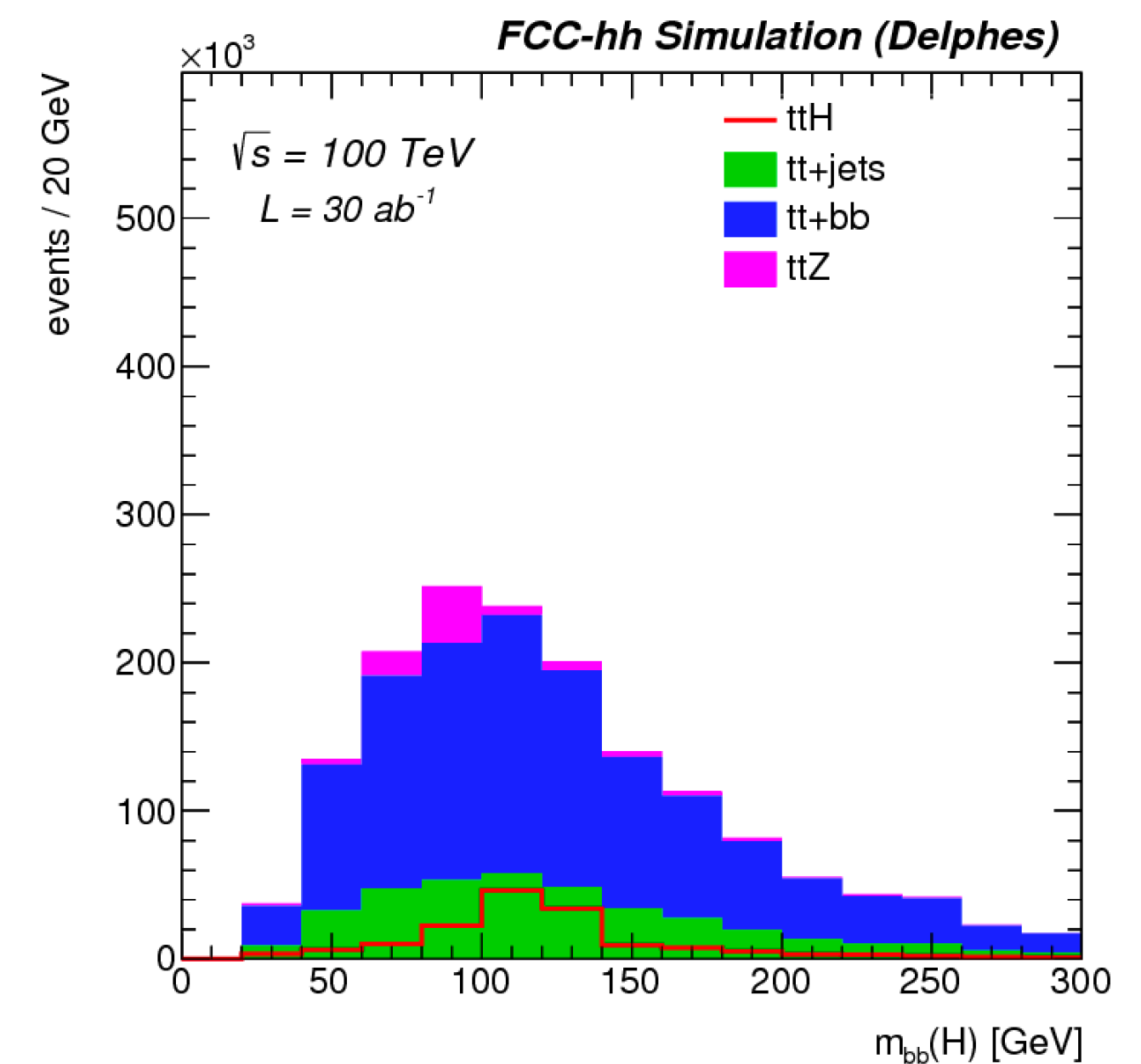
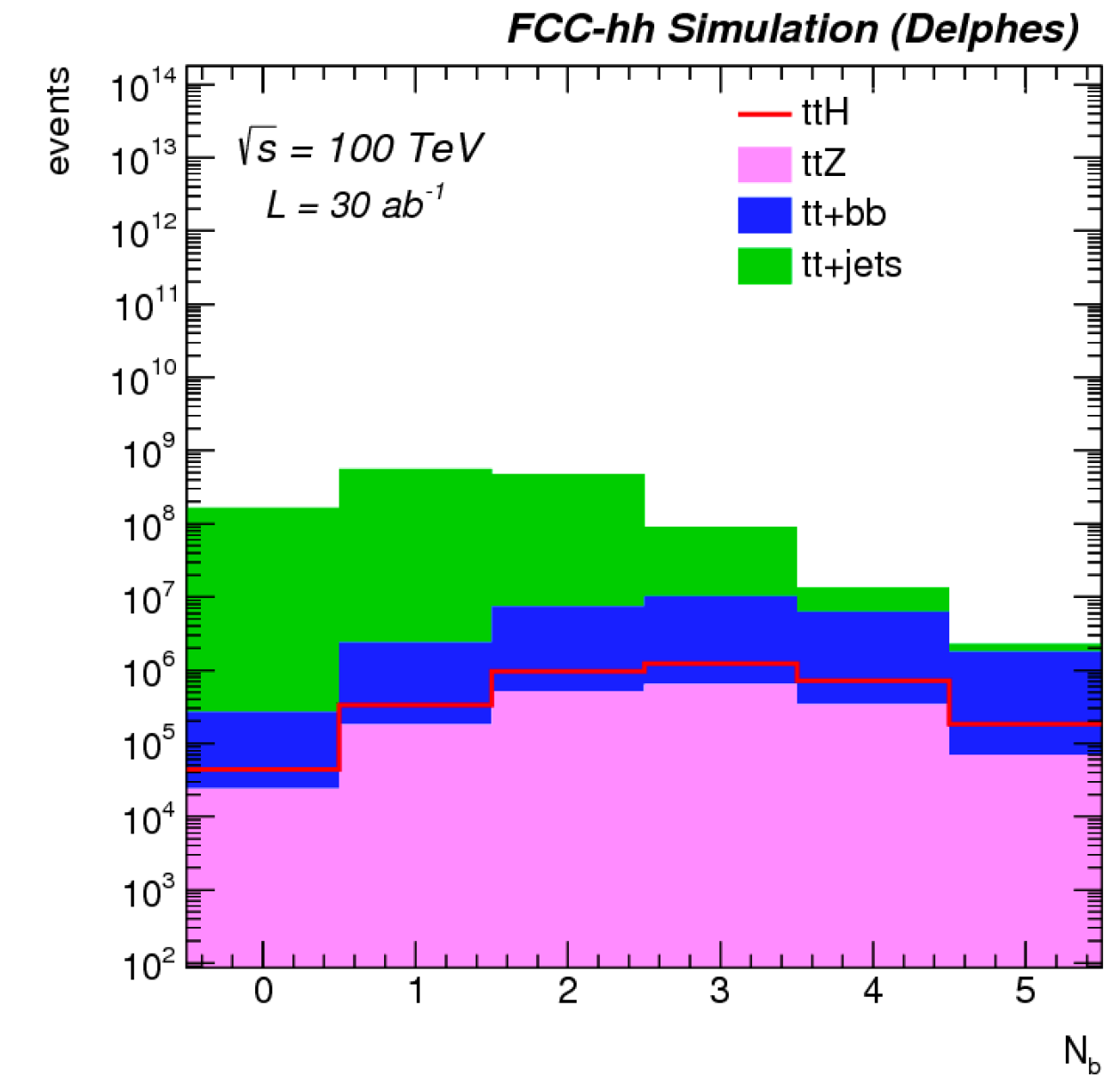
- boosted Higgs,  $H \rightarrow bb$
- boosted top hadronic
- other top leptonic decay

• Signature:

- 2 fat-jets,
- 1 lepton,
- MET, (+ 1 bjet)

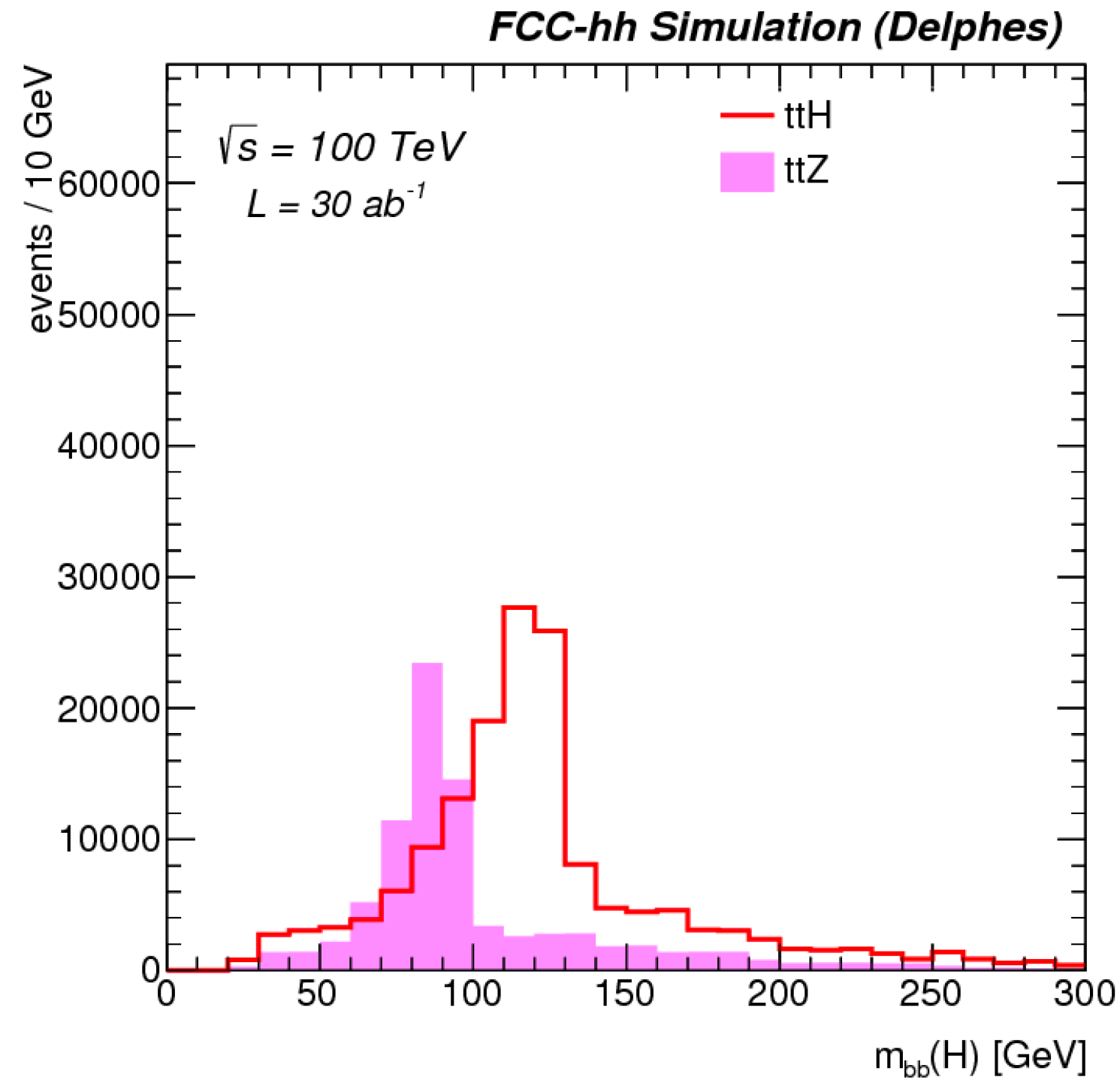
• Backgrounds:

- $ttZ$ ,
- $tt+jets$ ,
- $tt+bb$
- $W/Z+jets$  ignored for now



# Top Yukawa

Measure top Yukawa by measuring  $\sigma(\text{ttH})/\sigma(\text{ttZ})$



- $N_{\text{ttZ}} / N_{\text{ttH}} = 0.533 \pm 0.004$  (stat)
  - $\delta_{\text{stat}}(N_{\text{ttZ}}/N_{\text{ttH}}) \approx 0.7 \%$
  - assumes background yield under control  $\lesssim 1\%$  (enough statistics in the side bands)
- To be studied:
  - impact of background shape

- tt+jets rate from side band CR ( $m_j > 160 \text{ GeV}$ )
- assuming shape of tt+jets under control.. (to be studied)

$$\delta y_t / y_t \lesssim 1 \%$$

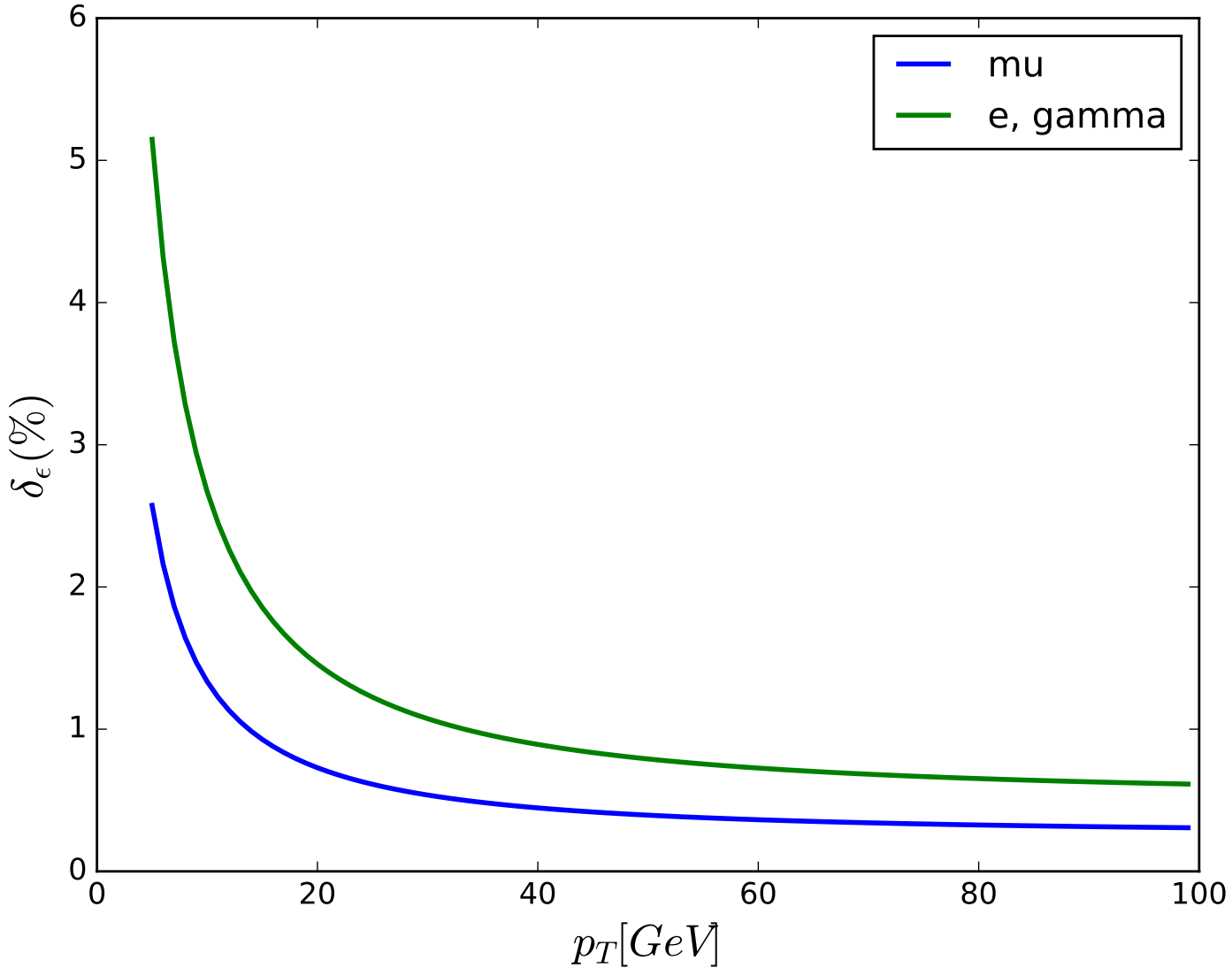


# Higgs decay studies

- Will show prospects for S/B and precision on the signal strength  $\delta\mu/\mu$  in the following channels ( $H \rightarrow \gamma\gamma$ ,  $H \rightarrow 4l$ ,  $H \rightarrow \mu\mu$ ,  $H \rightarrow Z\gamma$ ) for various scenarios.
- Consider the following categories of **uncertainties**:

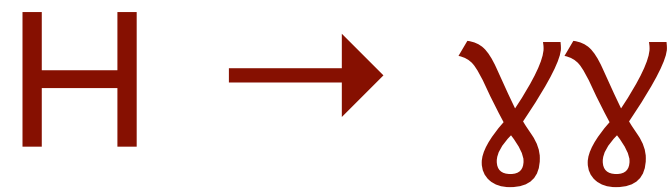
- $\delta_{\text{stat}}$  = **statistical**
- $\delta_{\text{prod}}$  = **production + luminosity systematics (1-2%)**
- $\delta_{\text{eff}}^{(i)}(p_T)$  = **object reconstruction (trigger+isolation+identification) systematics**
- $\delta_B$  = **0, background** (assume to have  $\infty$  statistics from control regions)

• Assume the following baseline for **reconstruction efficiency** uncertainties  $\delta_{\text{eff}}^{(i)}(p_T)$



# Higgs decay studies

- Given how **uncertainties scale with  $p_T$** , makes sense to **explore sensitivity at large  $p_T(H)$**  (also qq produced backgrounds falls more steeply)
- **Propagate systematics based on average  $p_T$  of Higgs decay product**
- ex:  $H \rightarrow \mu\mu$ , with  $p_T(H) > 50$  GeV:
  - $p_T(\mu_1) \sim 100$  GeV  $\rightarrow \delta_{\text{eff}}(\mu) \approx 0.30\%$
  - $p_T(\mu_2) \sim 50$  GeV  $\rightarrow \delta_{\text{eff}}(\mu) \approx 0.50\%$
- Assume **(un-)correlated** uncertainties for **(different) same** final state objects
- Following **scenarios** are considered:
  - $\delta_{\text{stat}}$   $\rightarrow$  stat. only (I)
  - $\delta_{\text{stat}}, \delta_{\text{eff}}$   $\rightarrow$  stat. + eff. unc. (II)
  - $\delta_{\text{stat}}, \delta_{\text{eff}}, \delta_{\text{prod}} = 1\%$   $\rightarrow$  stat. + eff. unc. + prod (III)

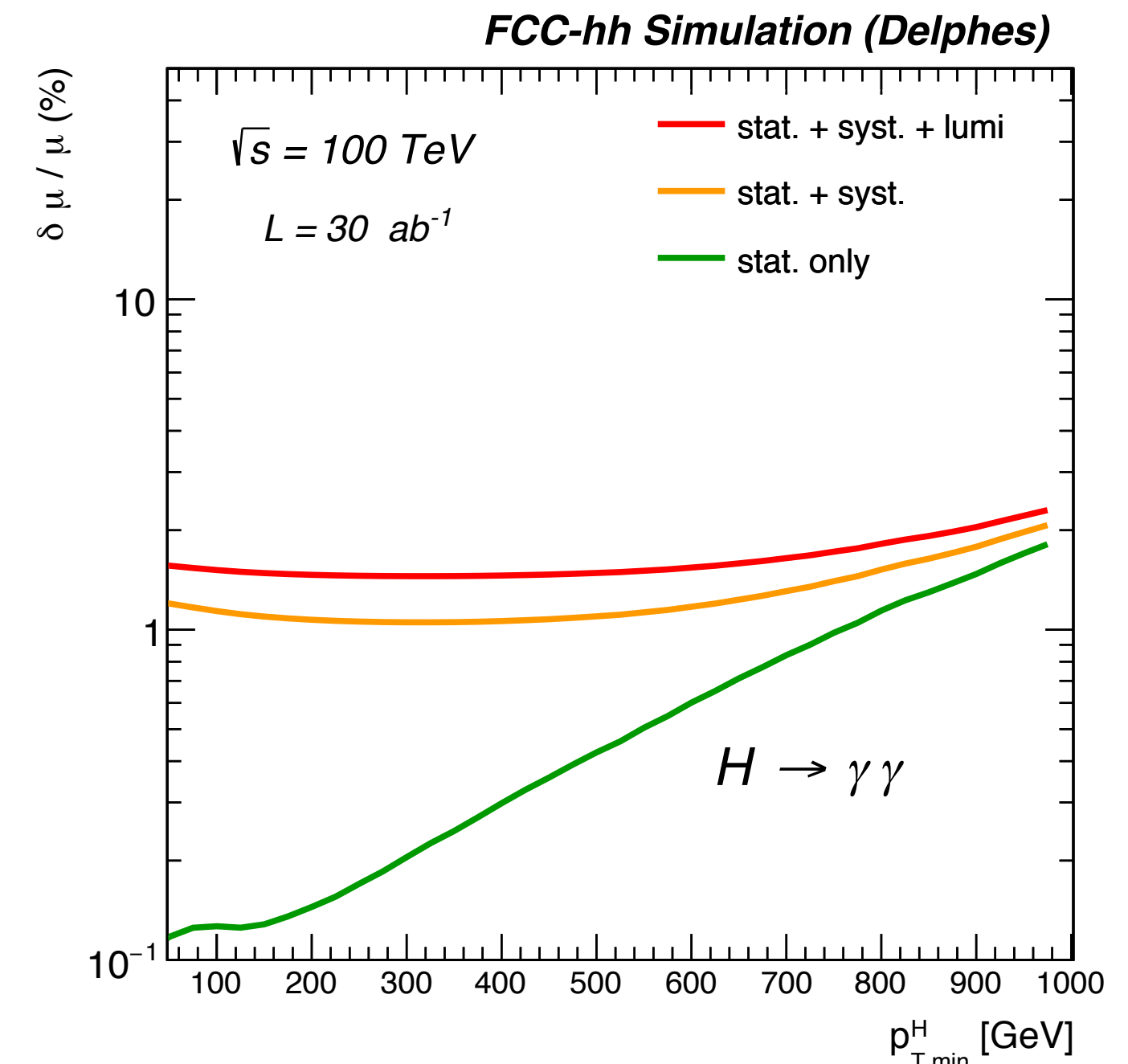
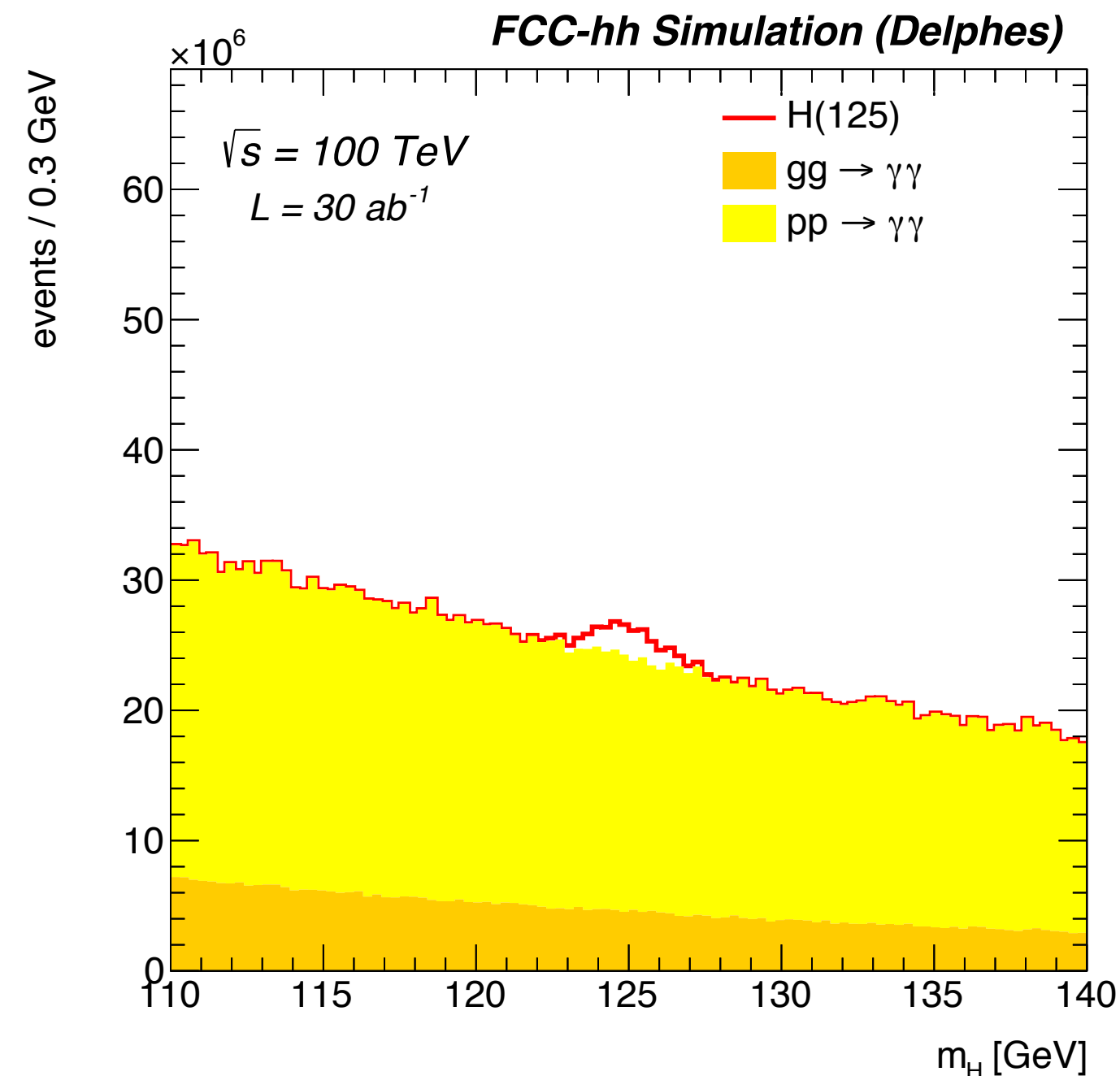
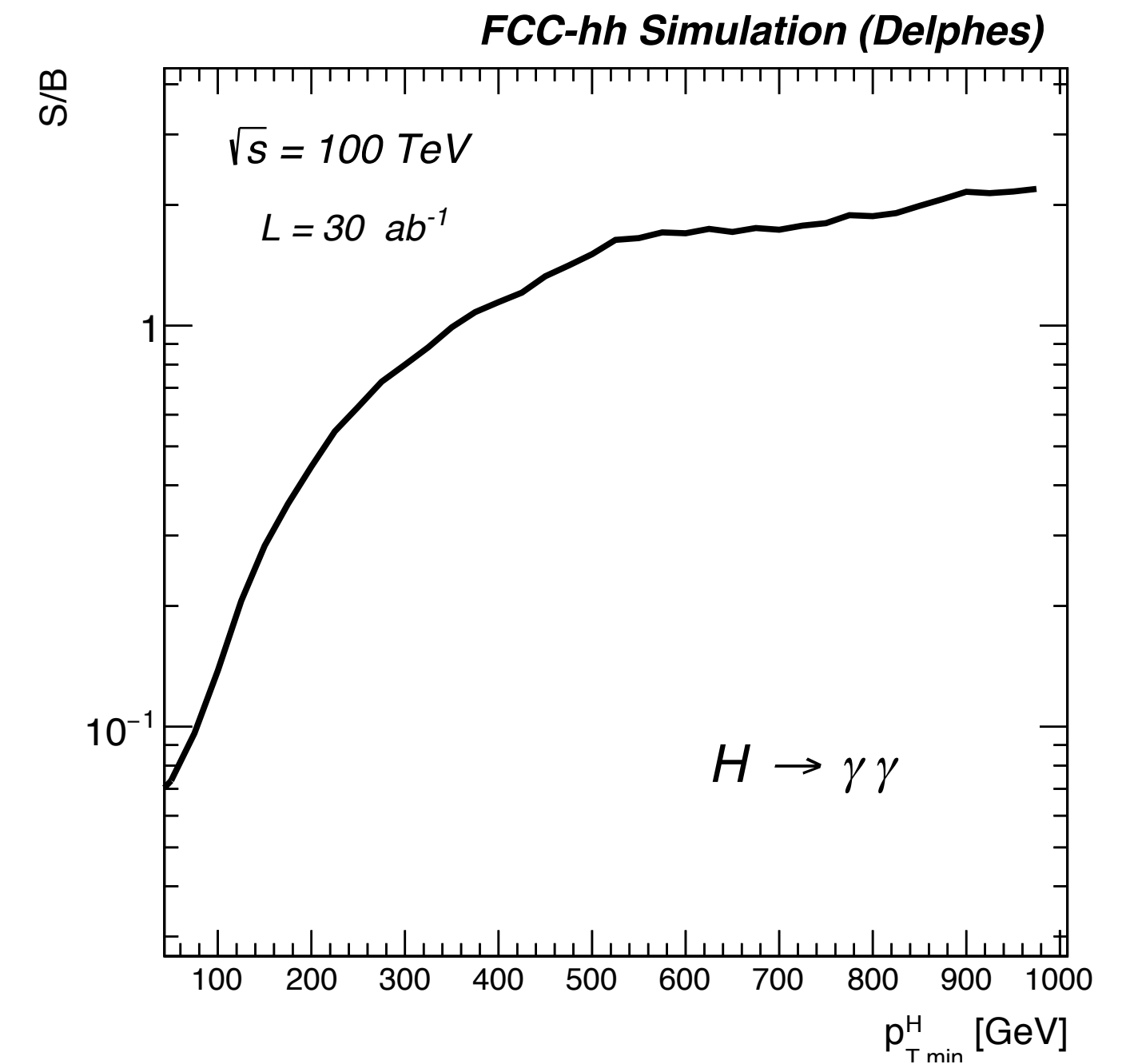
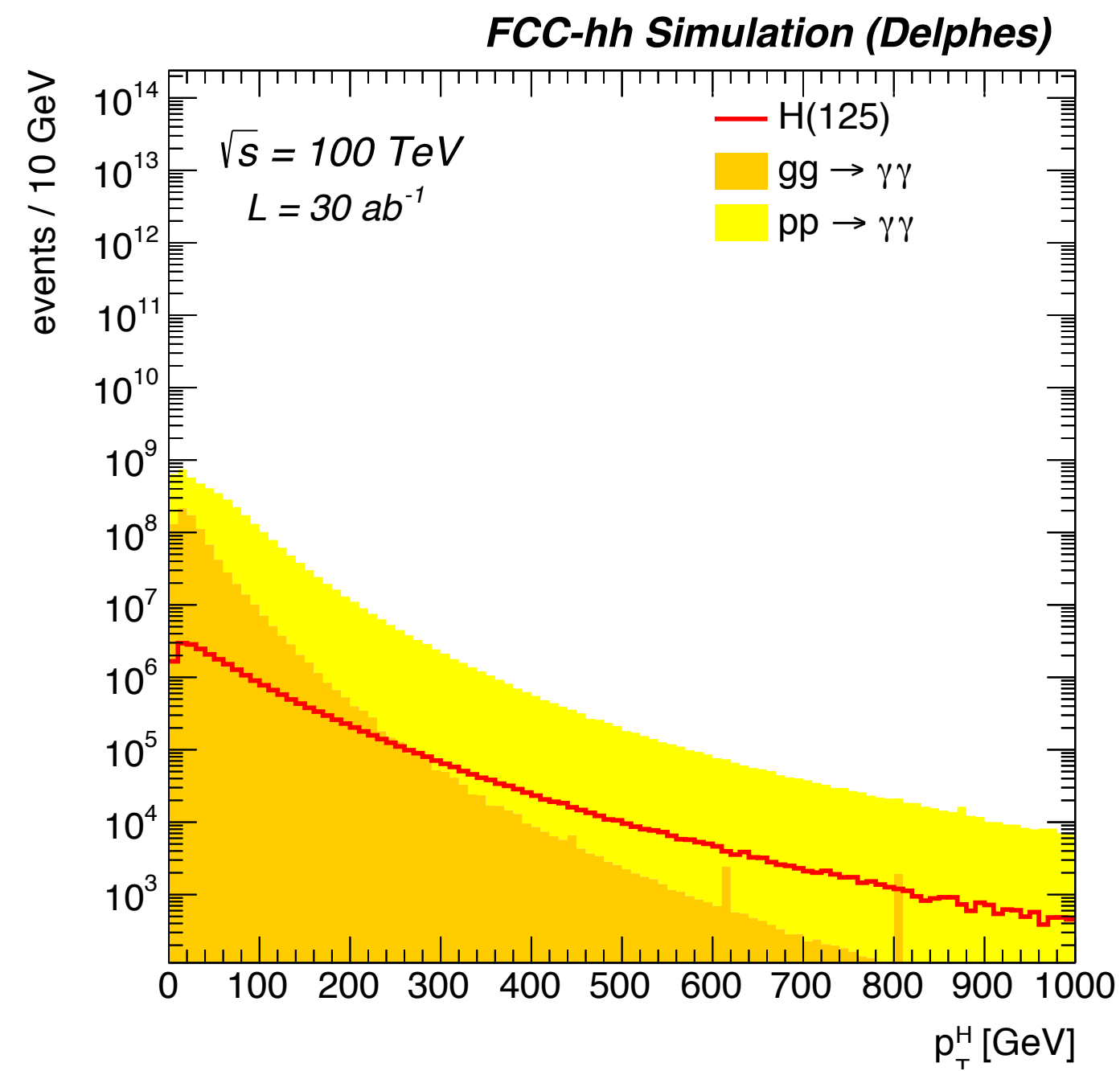


### Backgrounds:

- irreducible: QCD  $\gamma\gamma$  production
- reducible. :  $\gamma$  + jets (ignored for now)

### Analysis cuts

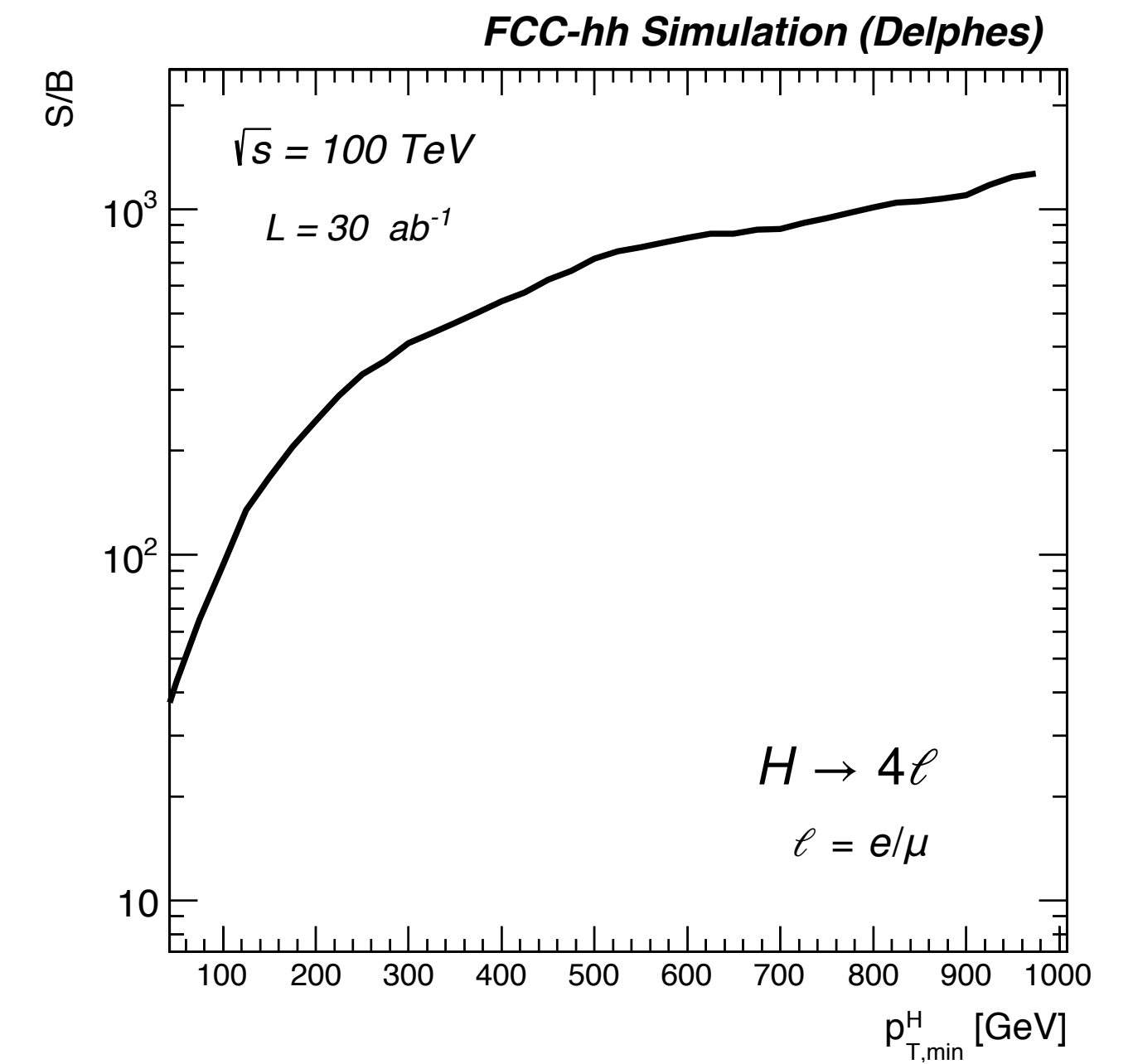
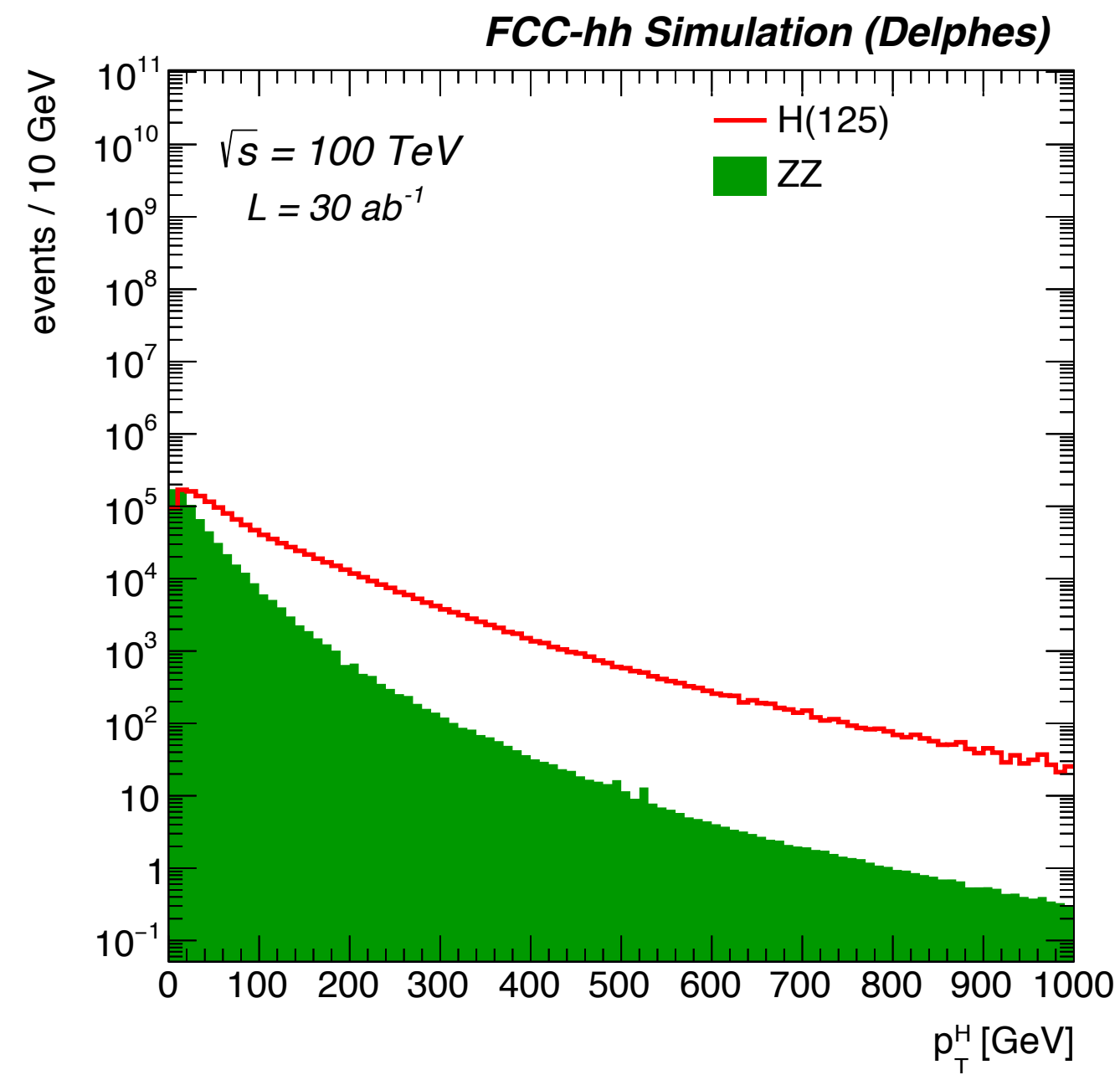
- $p_T(\gamma) > 30$  GeV,  $|\eta(\gamma)| < 4.0$
  - variable  $p_T(H)_{\min}$
  - $|m_{\gamma\gamma} - m_H| < 2.5$  GeV
- 
- $\delta\mu/\mu \approx \mathcal{O}(1)$  % precision can be achieved up to  $p_T(H) = 1$  TeV



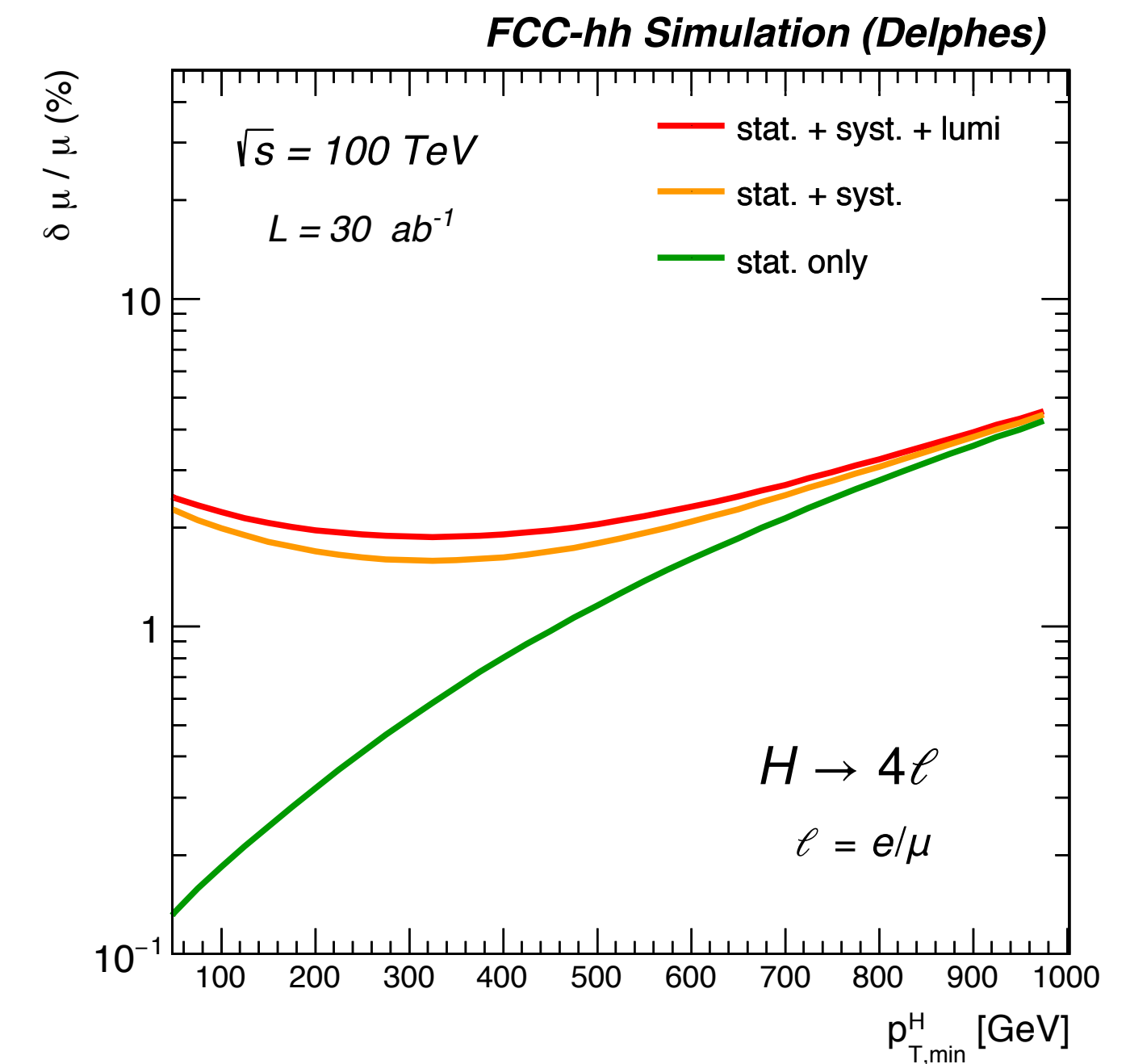
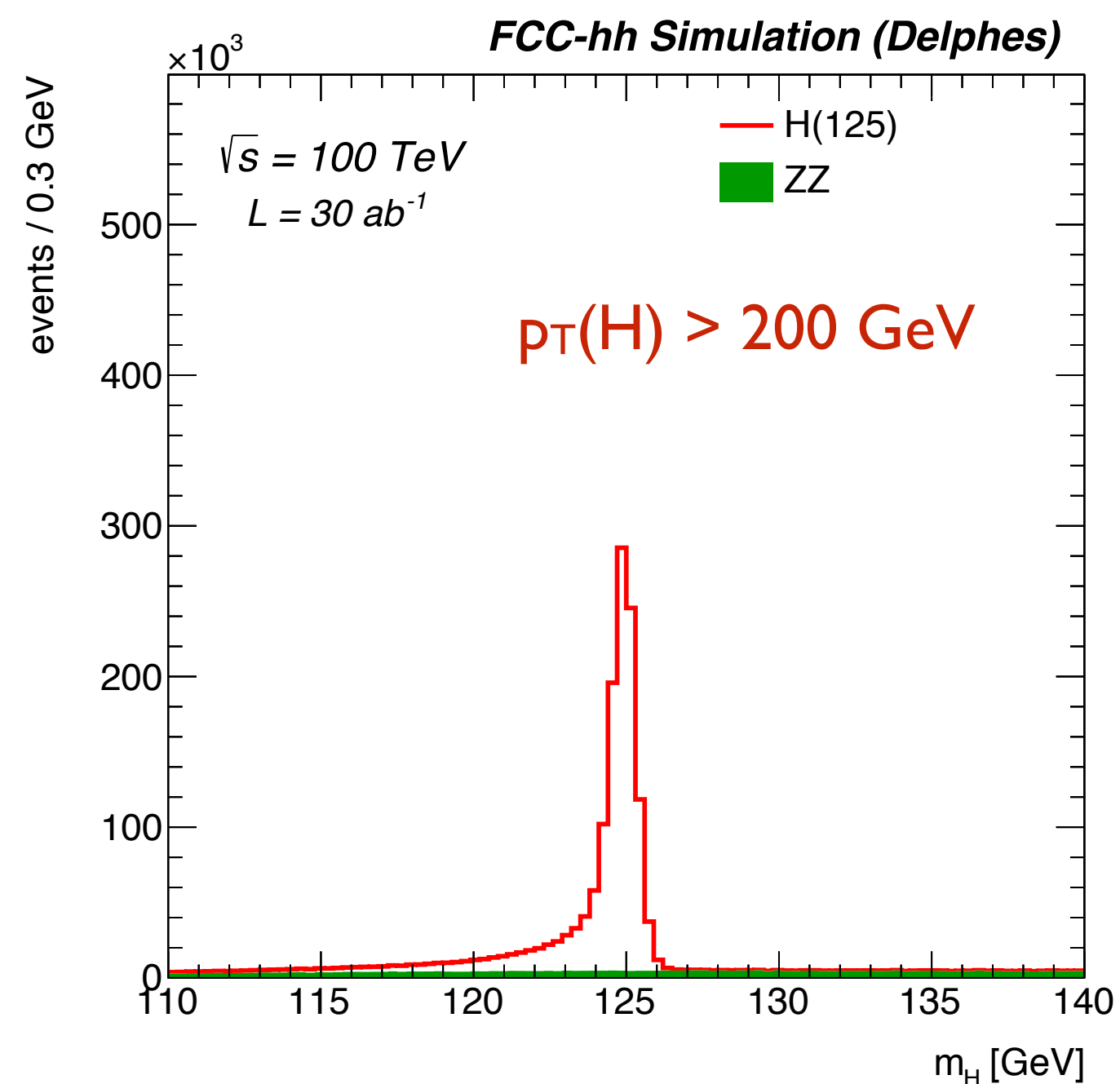


### Analysis cuts:

- $40. < m_{Z1} < 120.$
- $12. < m_{Z2} < 120.$
- $p_T(\ell) > 10 \text{ GeV}, |\eta(\gamma)| < 4.0$
- $122.5 < m_{4\ell} < 127.5 \text{ GeV}$   
 → asymmetric cut due to FSR tail



background free analysis at high  $p_T$  !



- $\delta\mu/\mu \approx 1 \%$  precision can be achieved up to  $p_T(H) = 500$
- At low  $p_T$  systematics will limit the measurement

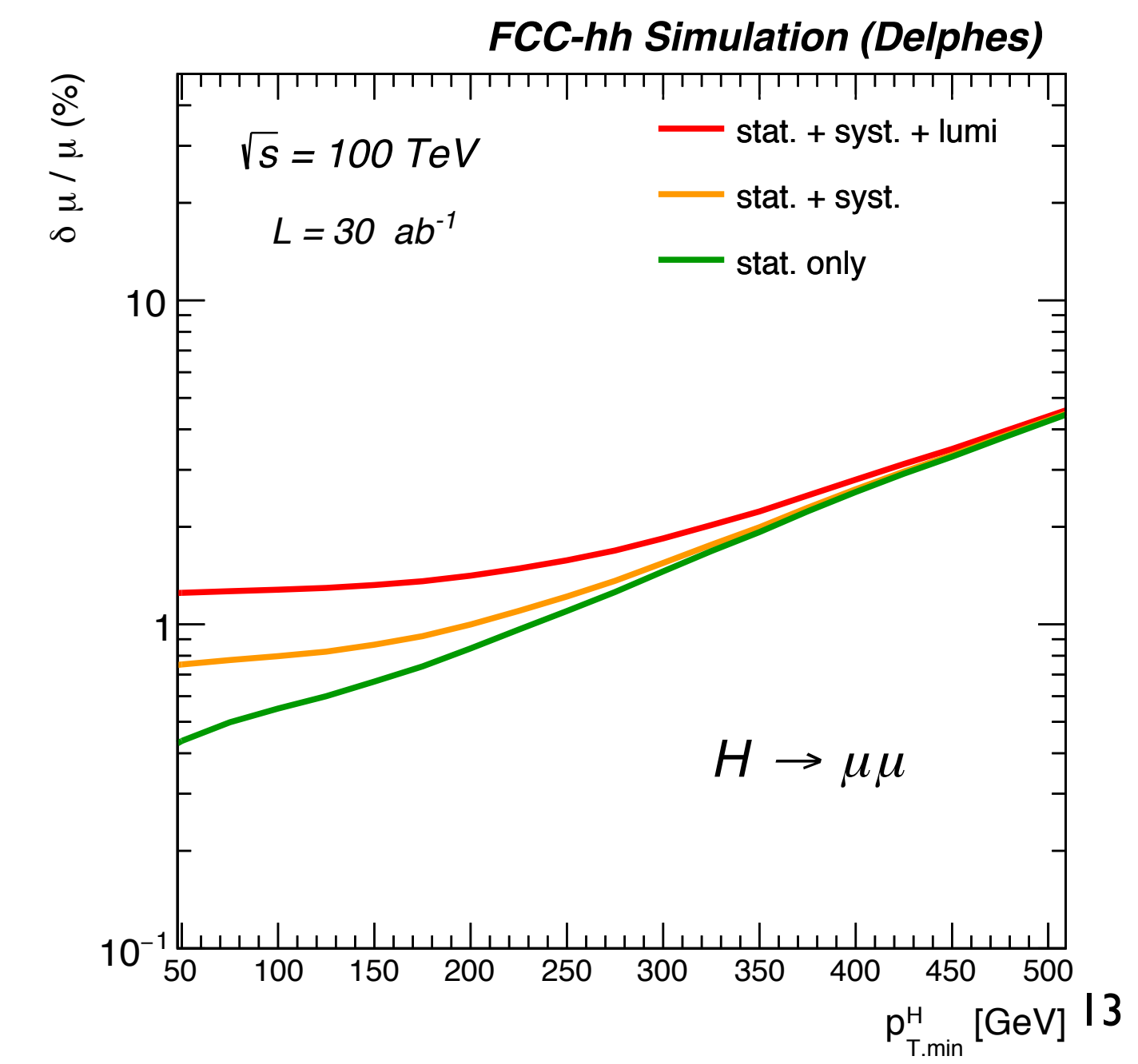
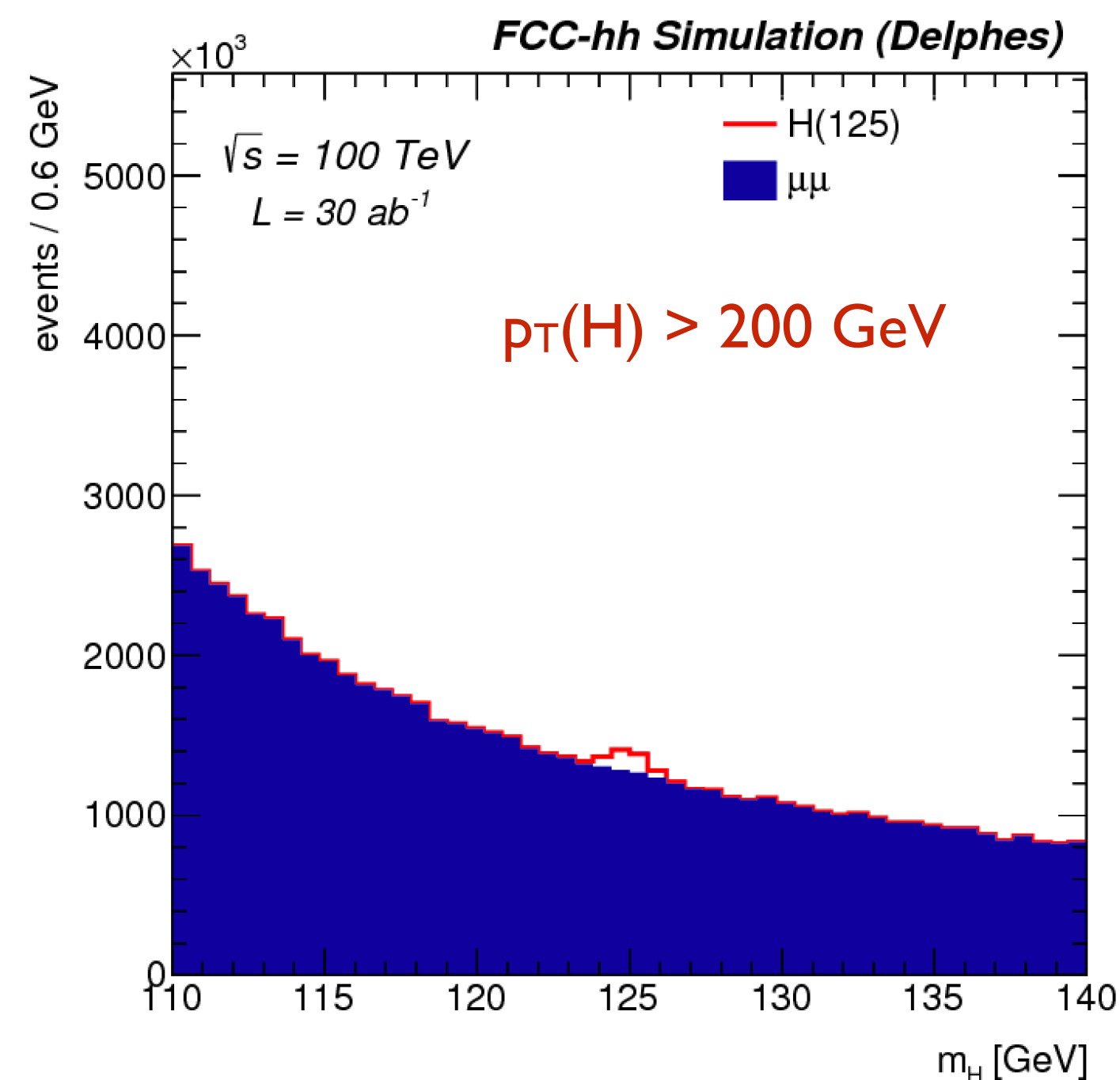
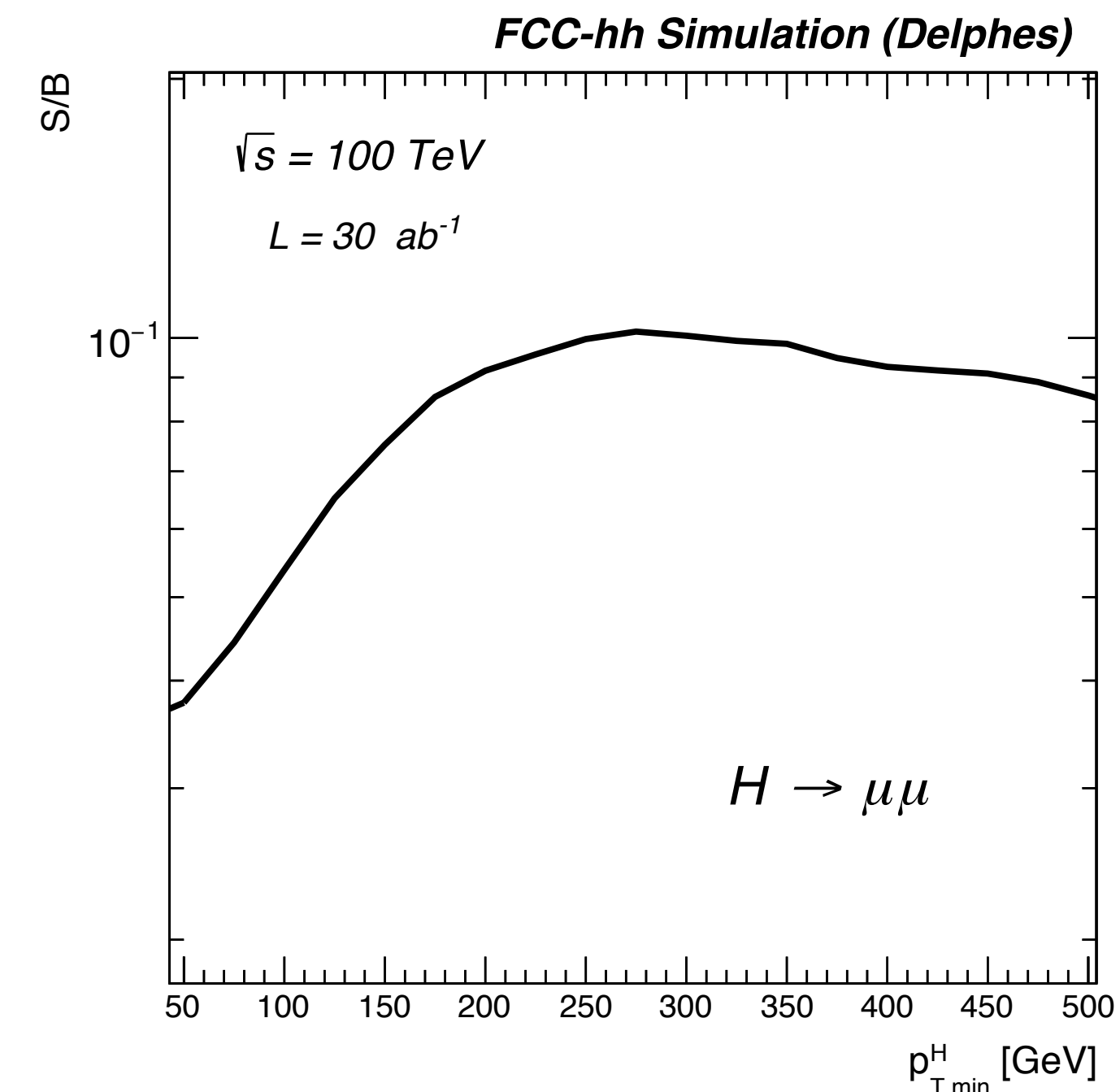
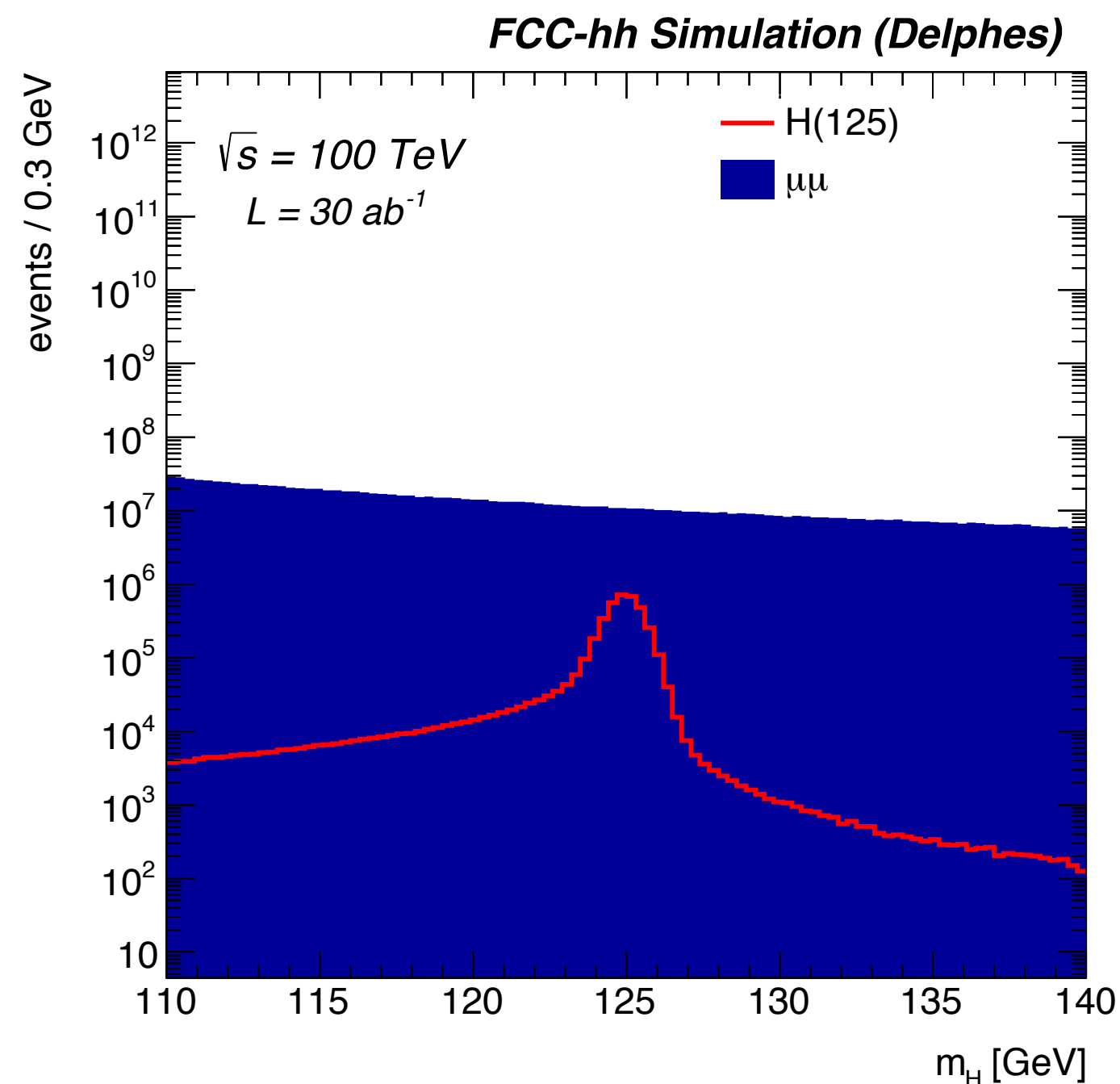
# H → μμ

- Very small  $BR(H \rightarrow \mu\mu) \sim 2.18e-04$ ,  
→ %-level precision out of reach at FCC-ee

## Analysis cuts

- $p_T(\mu) > 20 \text{ GeV}, |\eta(\mu)| < 4.0$
- $|m_{\mu\mu} - m_H| < 1 \text{ GeV}$

$\delta\mu/\mu \approx 1 \%$  stat. precision  
can be achieved up to  $p_T(H) = 300 \text{ GeV}$





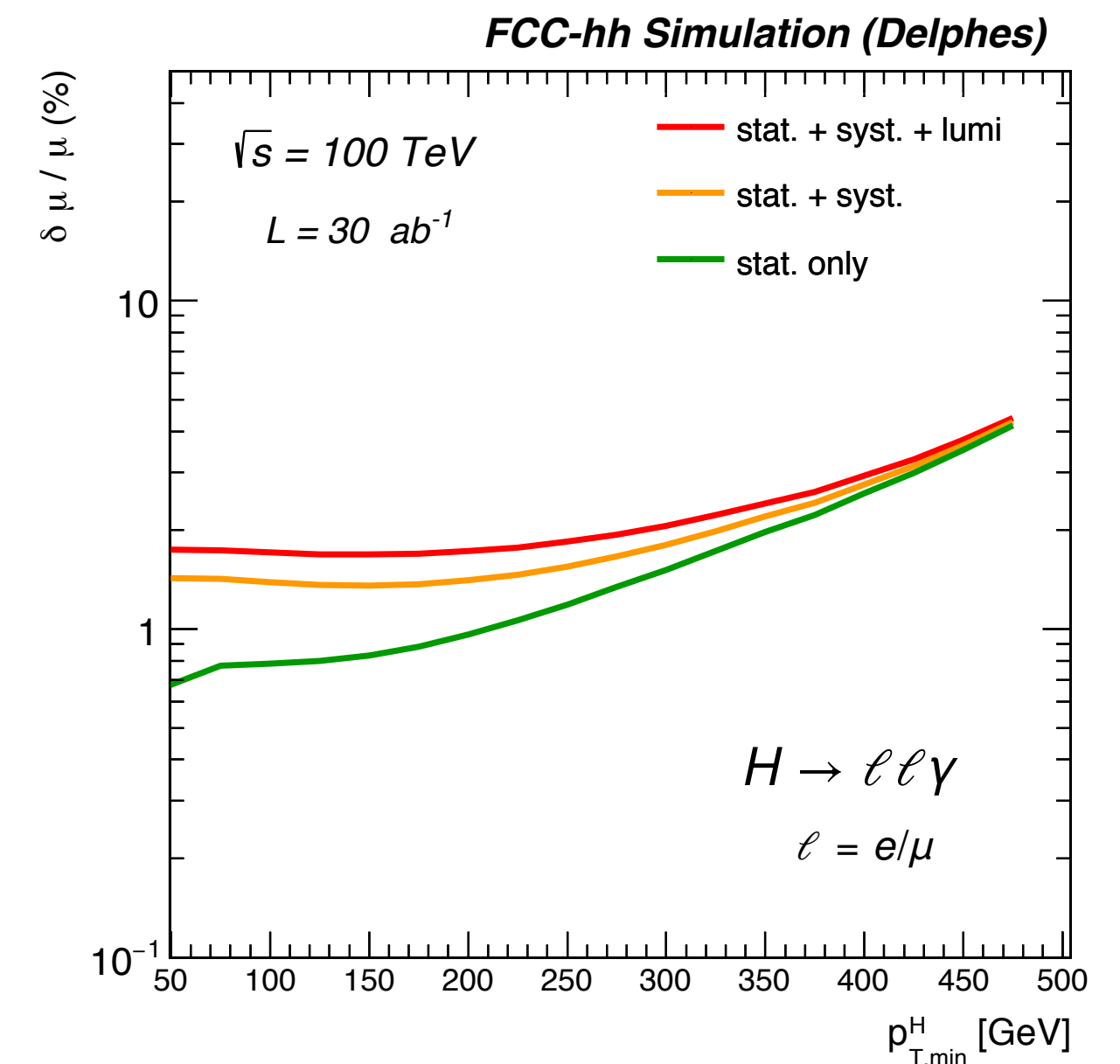
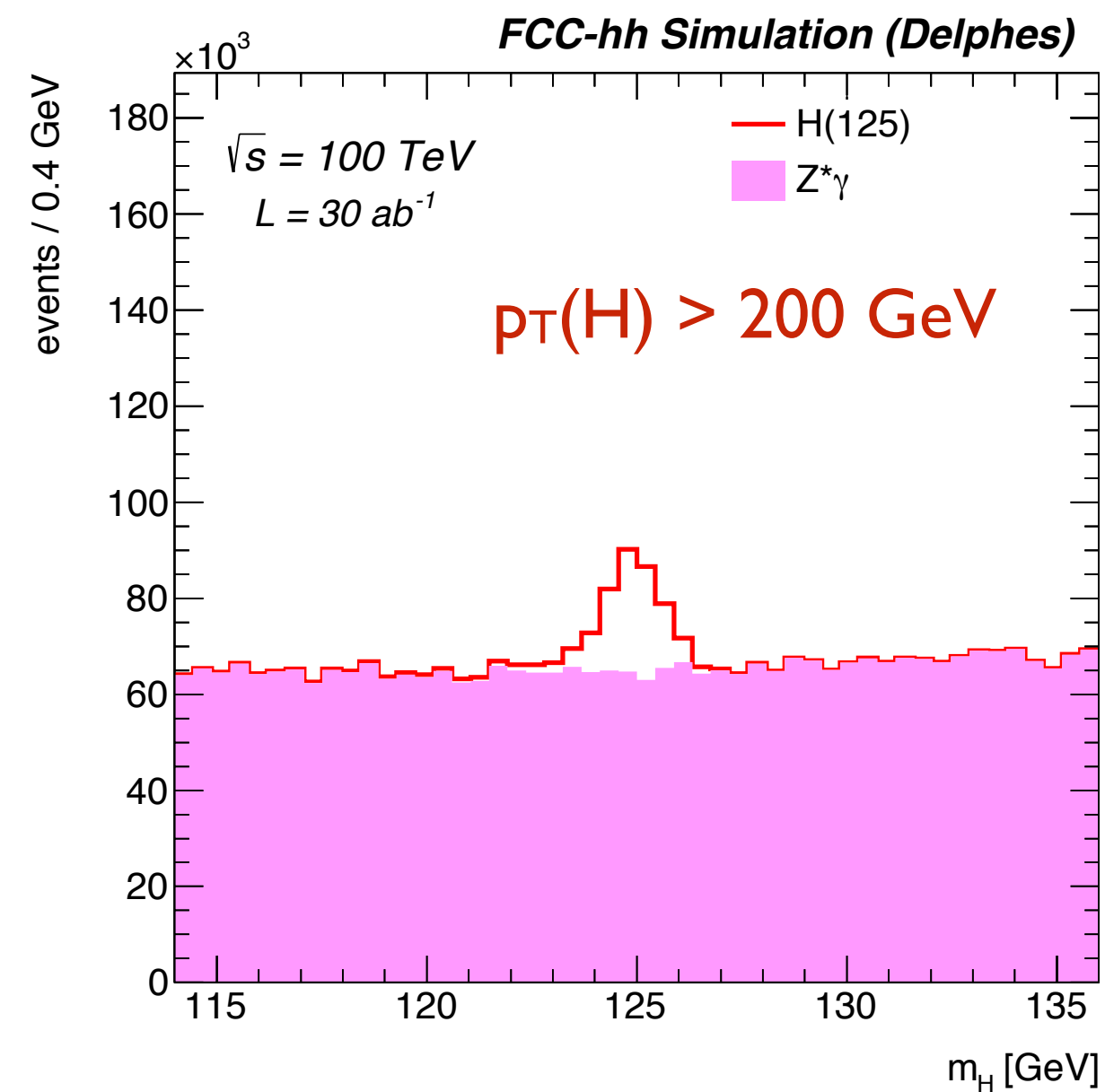
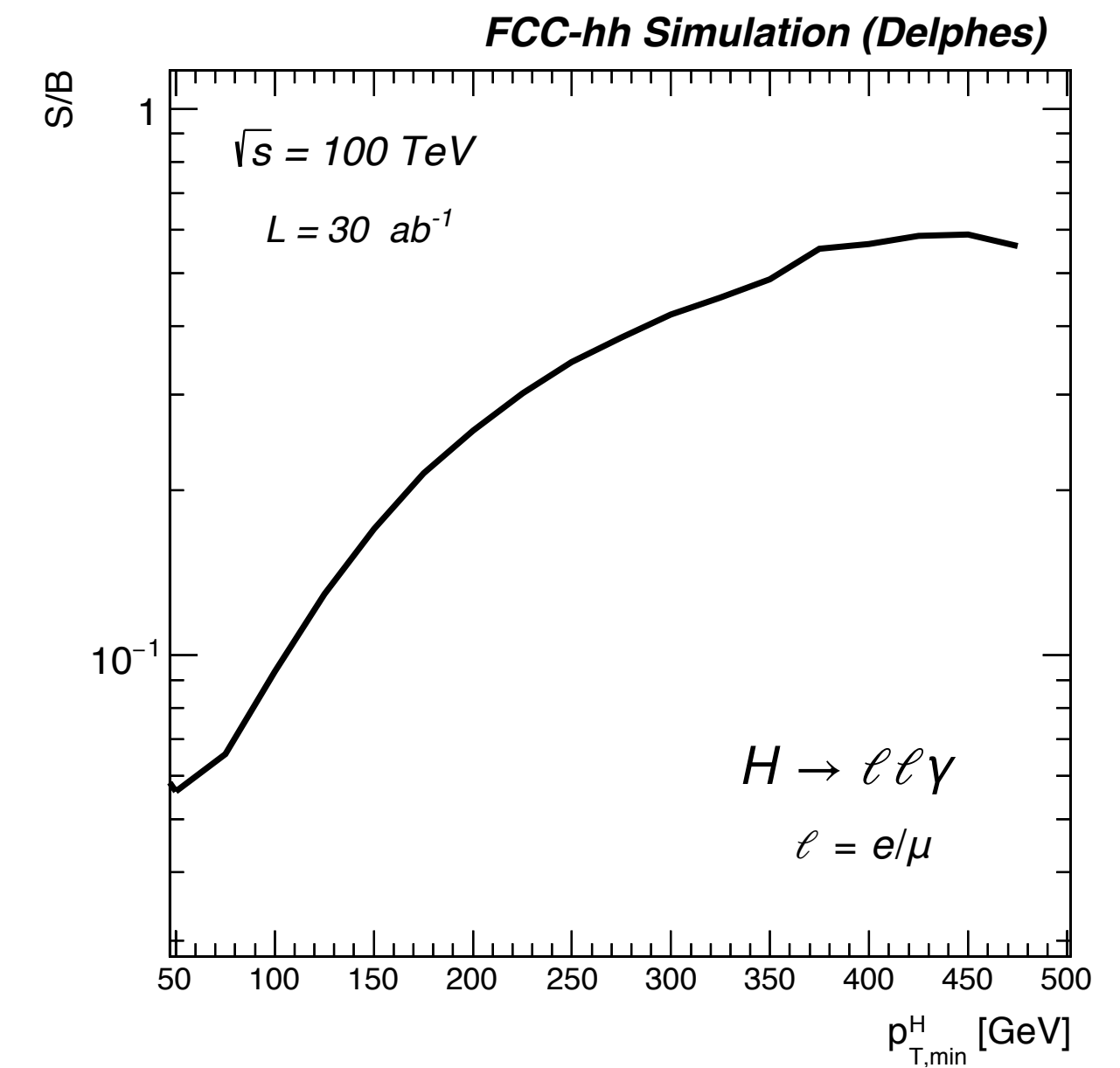
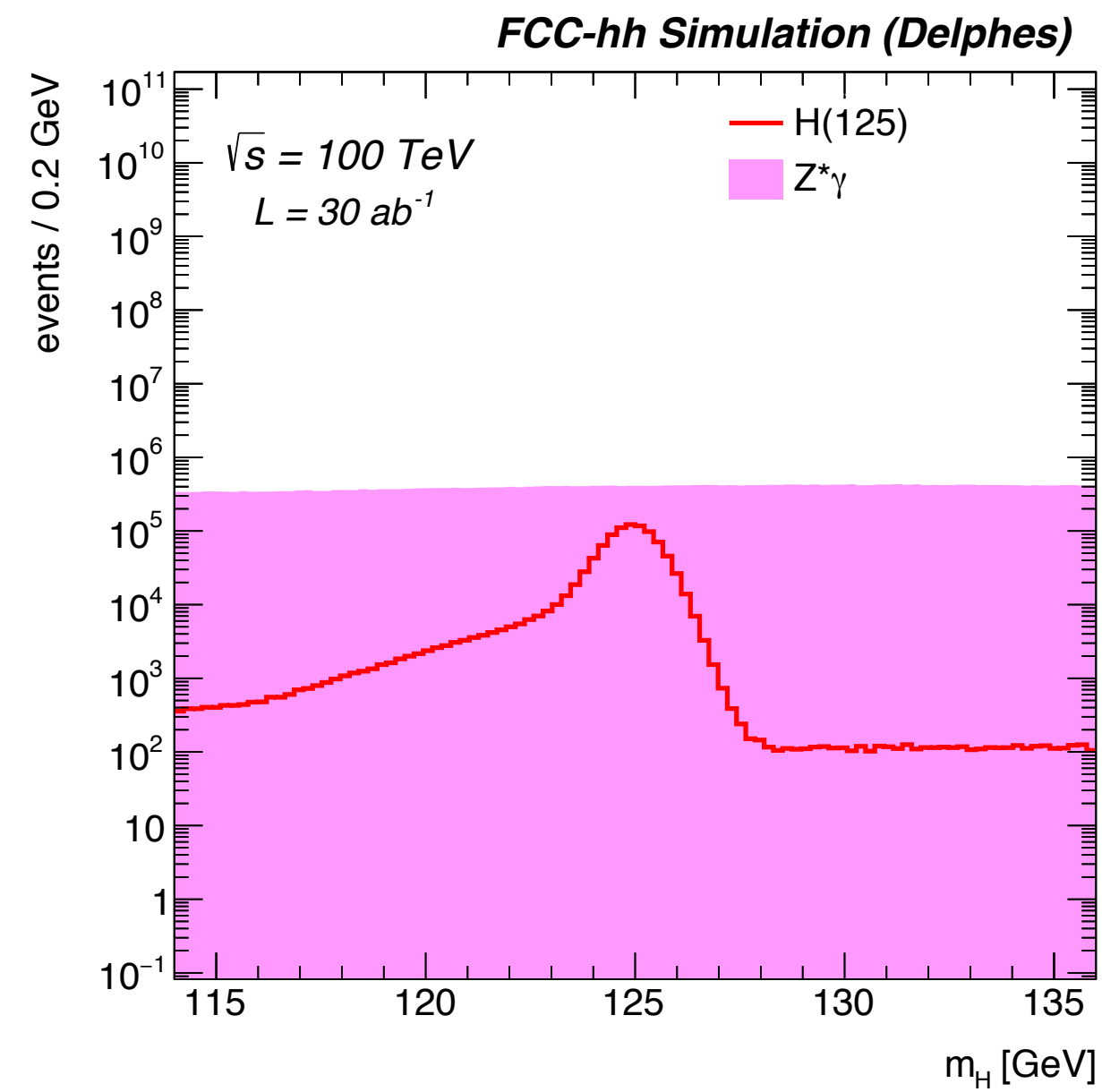


- $\text{BR}(H \rightarrow Z\gamma^*) \sim 1.5e-03$ ,
- irreducible:  $Z\gamma$

Simple cut and count strategy:

- $75 < m_{Z\ell} < 105$ .
- $p_T(\ell) > 20 \text{ GeV}$ ,  $|\eta(\ell)| < 4.0$
- $p_T(\gamma) > 15 \text{ GeV}$ ,  $|\eta(\gamma)| < 4.0$
- $122.5 < m_{\ell\ell\gamma} < 127.5 \text{ GeV}$

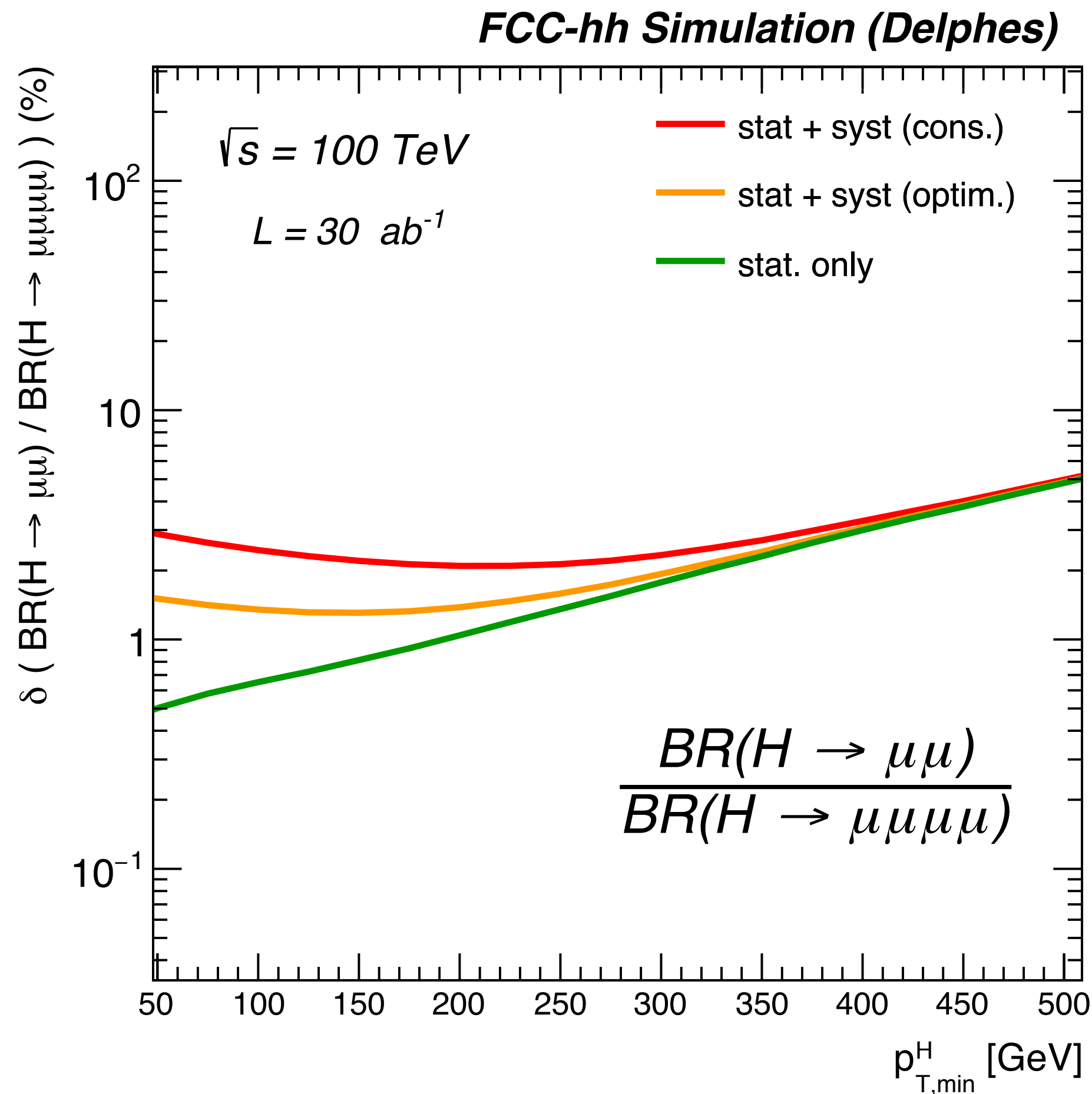
$\delta\mu/\mu \approx 1 \%$  stat. precision  
can be achieved up to  $p_T(H) = 200 \text{ GeV}$



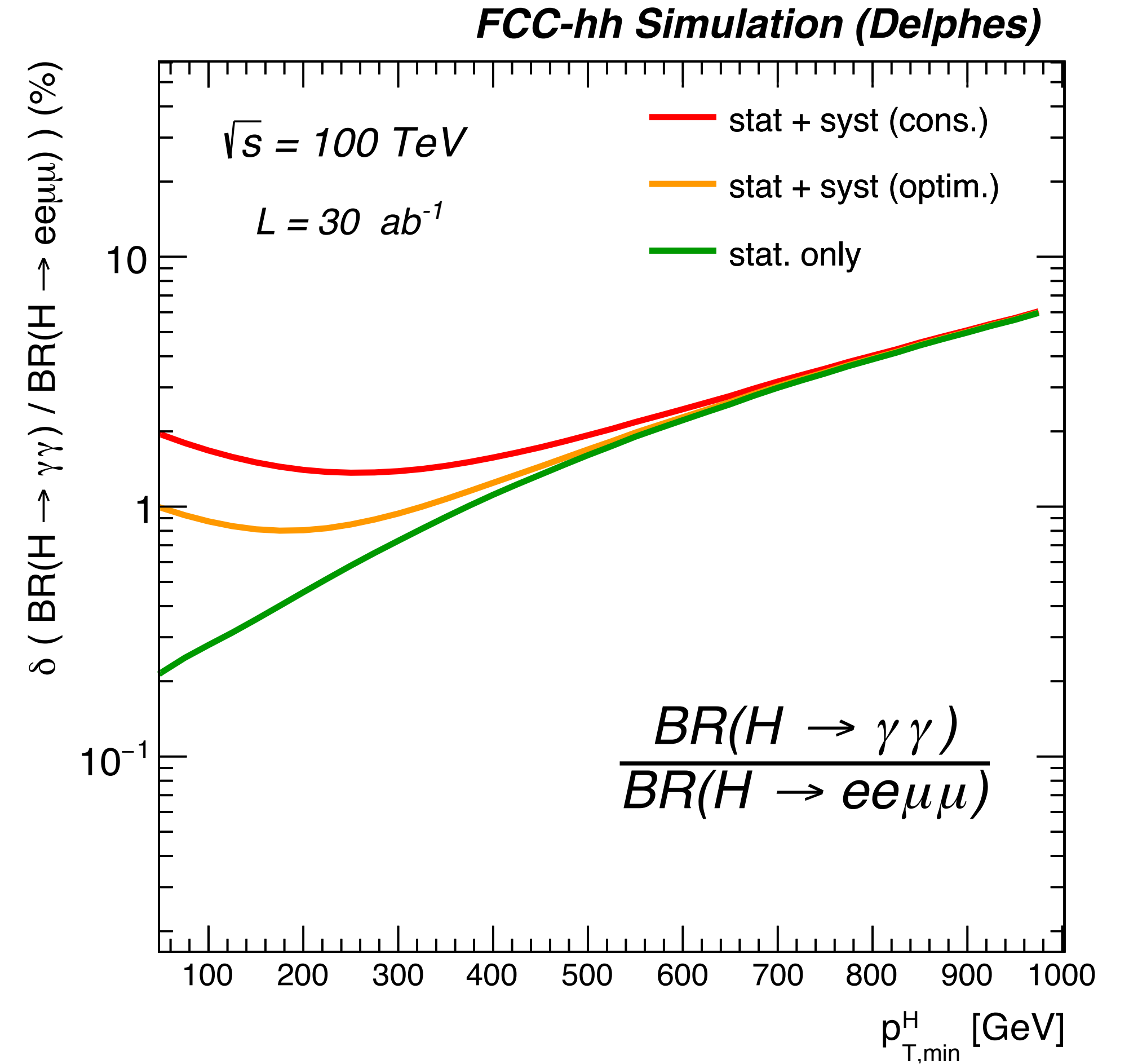
# Comments

- Statistics are so **large** (even for the rare decays) in most cases that the systematics (or lumi) wall (2-3% ?) for absolute measurement will be hit well before the full 20-30  $\text{ab}^{-1}$  @ 100 TeV
- In order to **cancel systematics** (from production, luminosity, etc..) a possibility is to **measure ratios of BRs**:
  - $\text{BR}(\mu\mu)/\text{BR}(4l)$  or  $\text{BR}(\mu\mu)/\text{BR}(\gamma\gamma)$
  - $\text{BR}(Z\gamma)/\text{BR}(4l)$  or  $\text{BR}(Z\gamma)/\text{BR}(\gamma\gamma)$
- stat only (sub)-percent precision can be reached (provided absolute measurement given by Higgs factories)
- assume we have good control of relative fraction of various production modes.

# Ratios of BRs

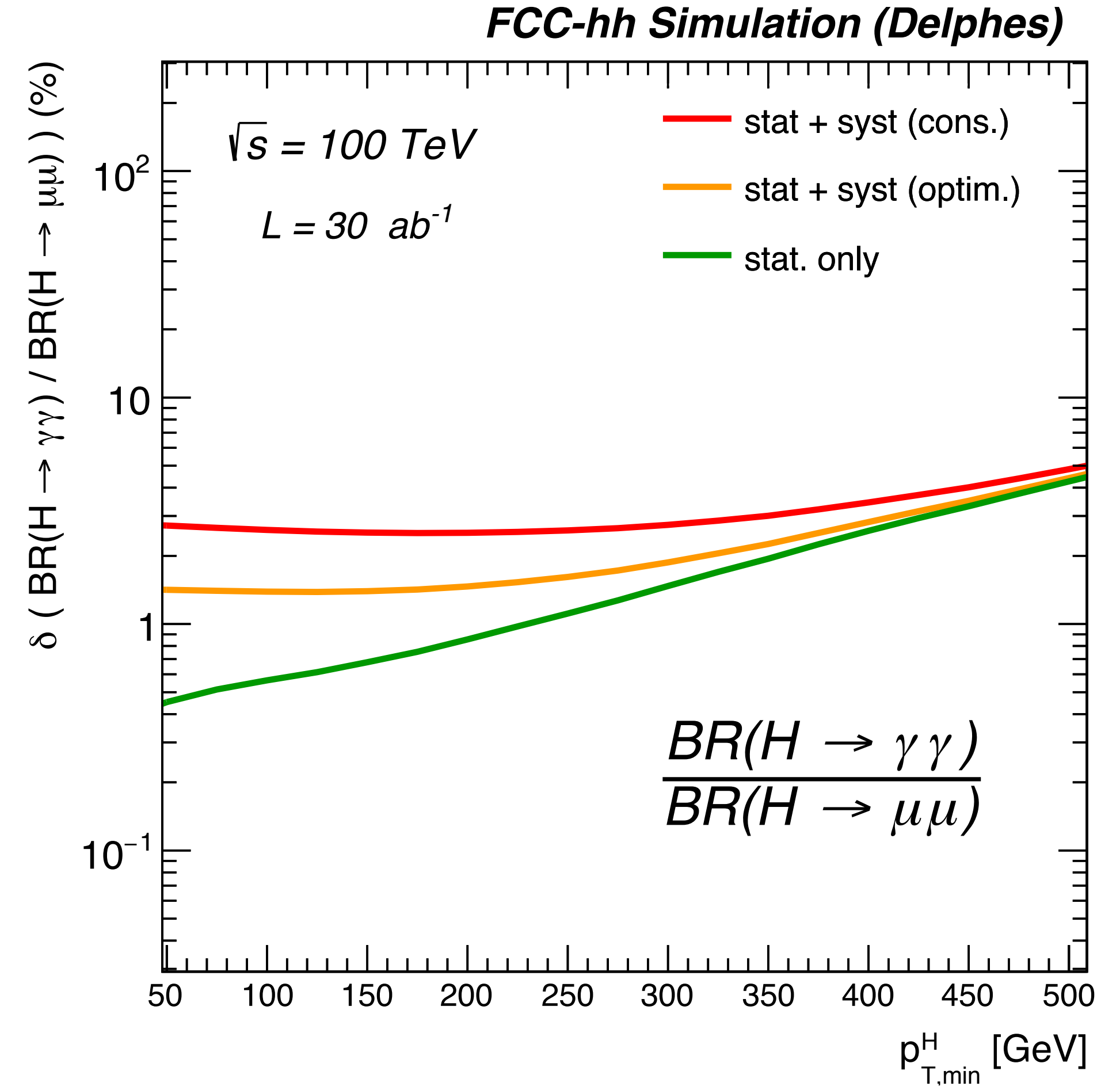
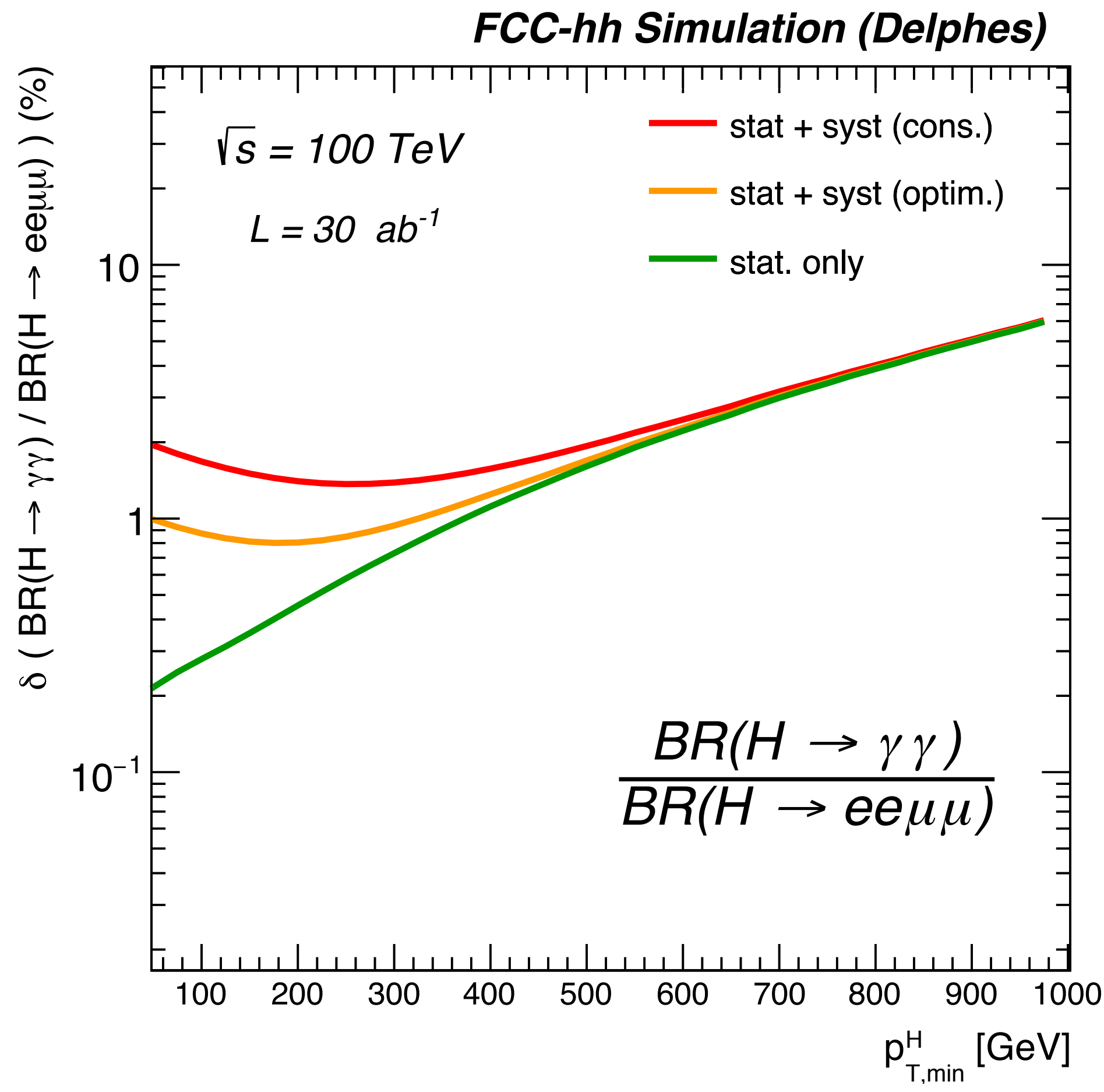


1 % precision (including systematics) within reach



- assumes 100% between e,  $\gamma$  systematics
- 1 % precision (including systematics) within reach

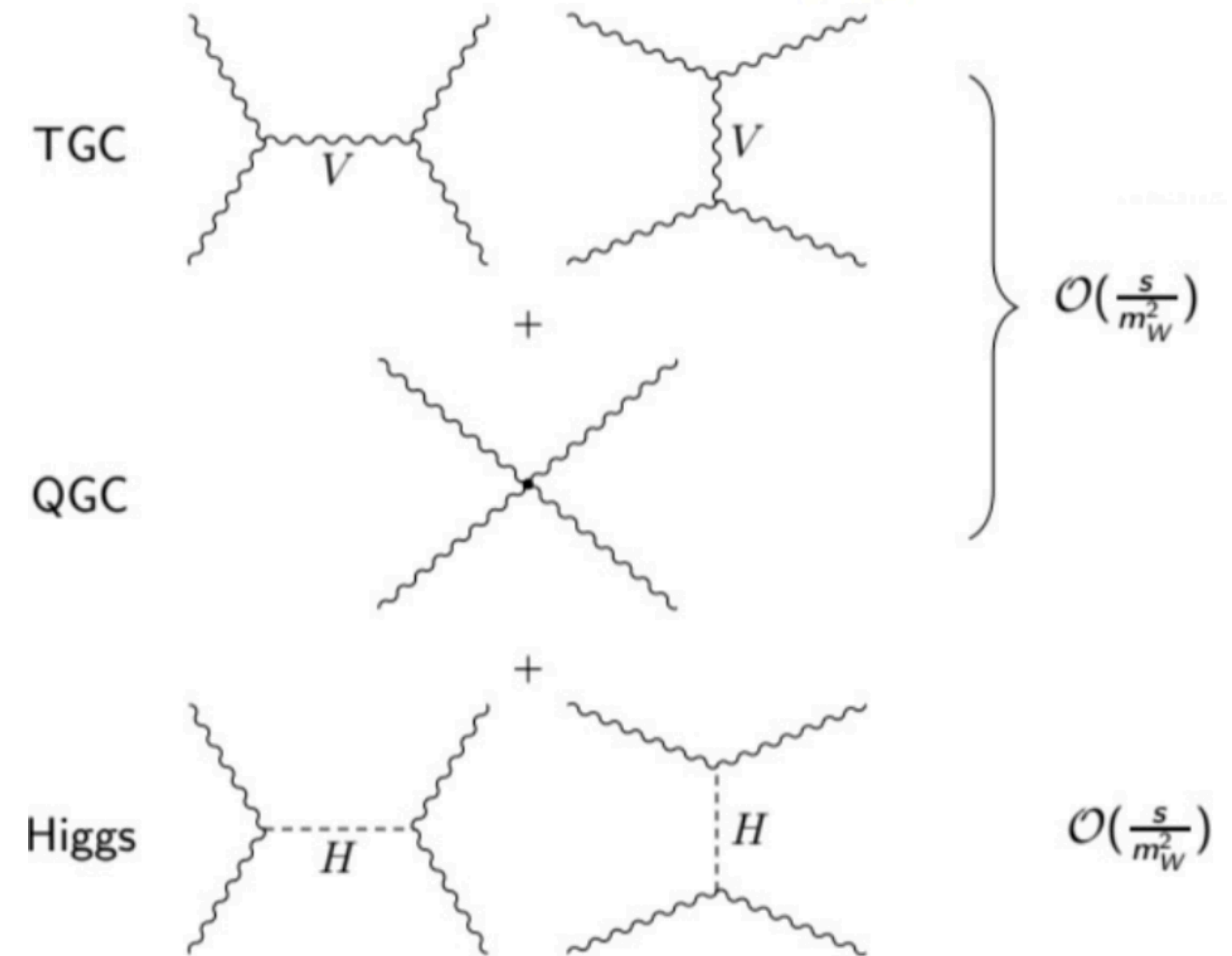
# Ratios of BRs



1 % precision (including systematics) within reach

# VBS

- A Higgs of 125 GeV has been observed at LHC but new physics may still be hidden in EWSB
- Energy growth of (TGC+QGC) is tamed by HIGGS exchange !
- New physics could disturb this delicate unitarity balance involving longitudinally polarized VBS  $\rightarrow$  rate increase



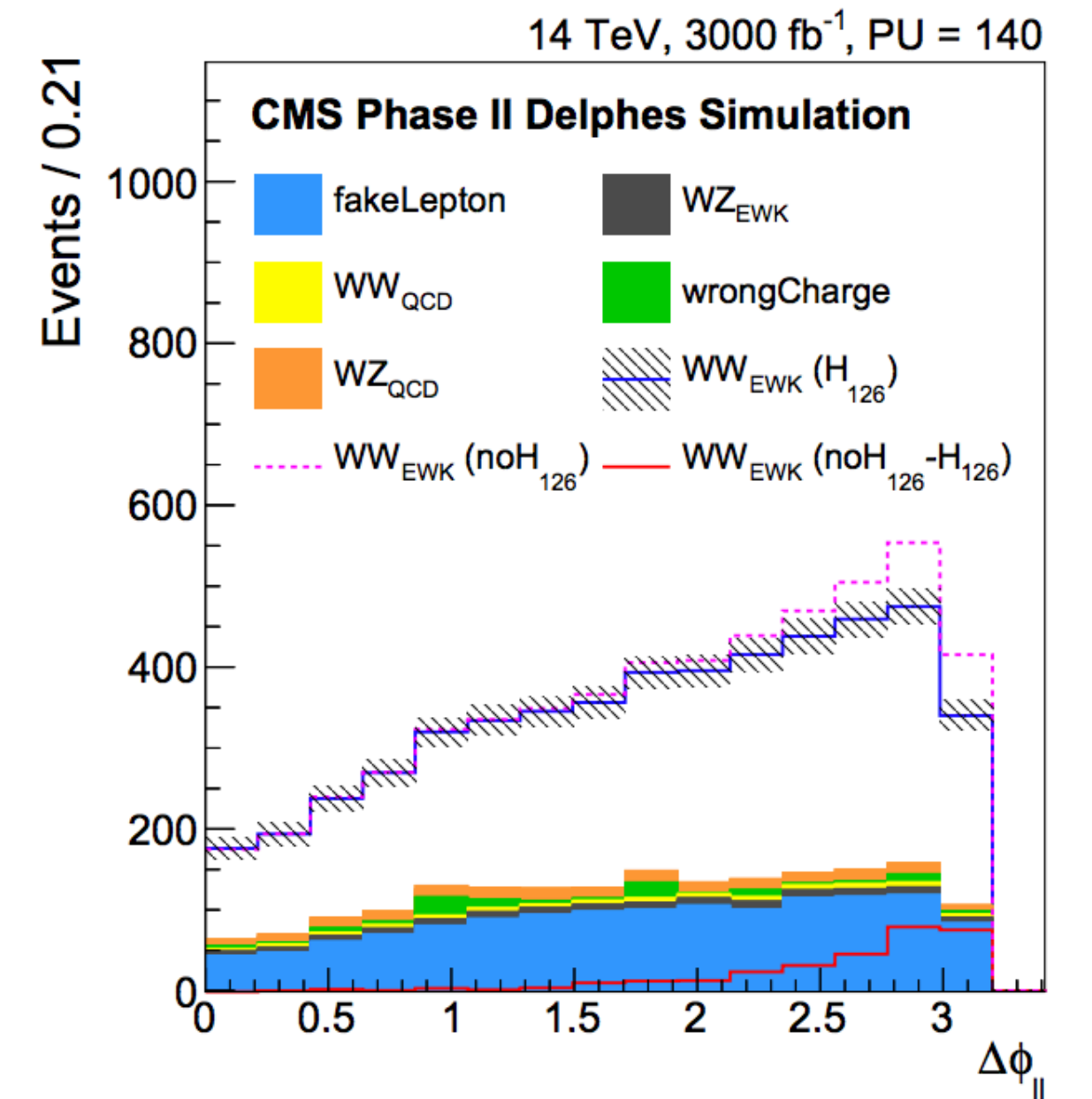


# VBS

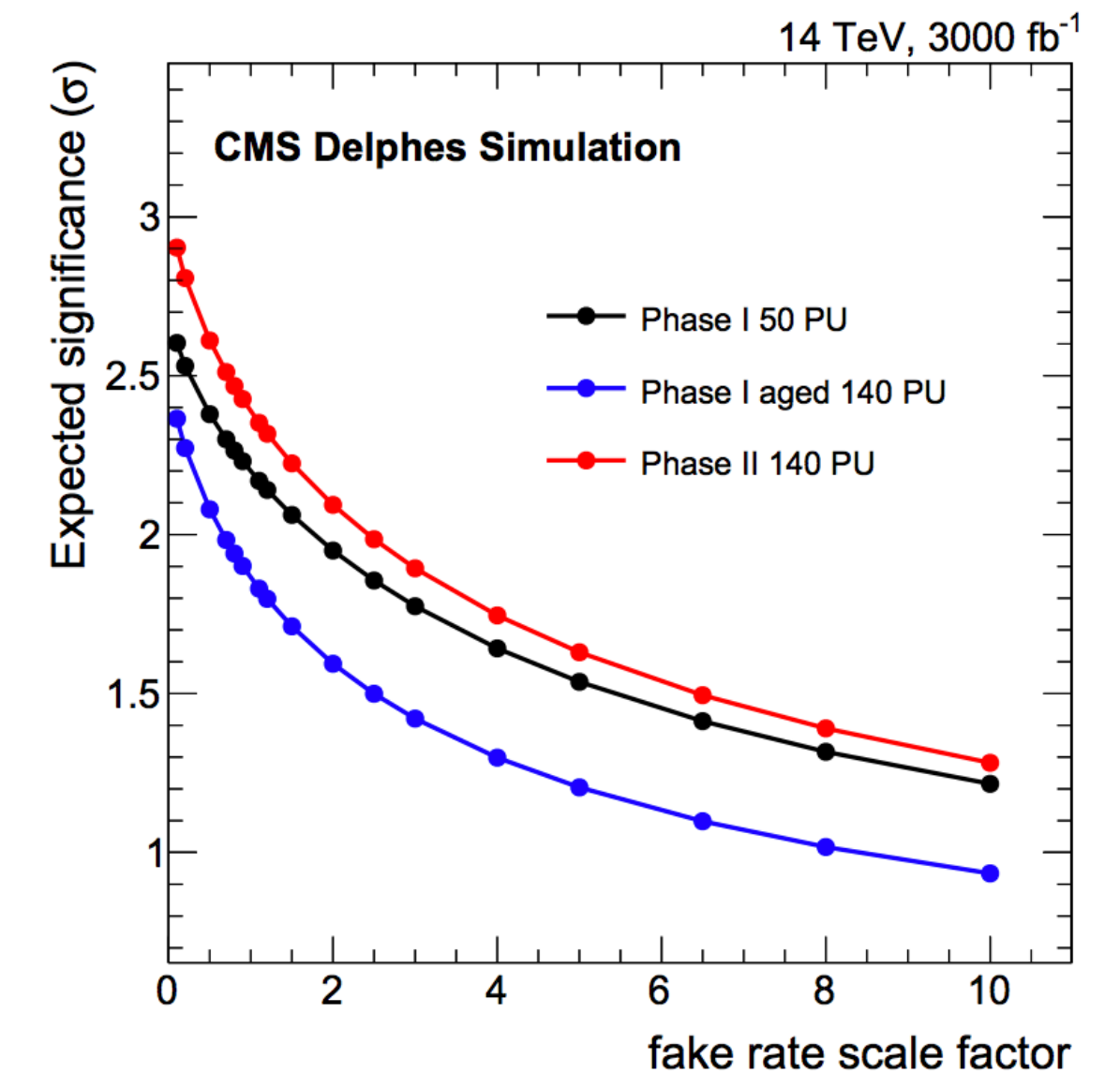
- $VVjj$  cross sections, EWK contribution only ( $m_{JJ} > 500$  GeV)
  - $W^\pm W^\pm jj \rightarrow 2l2\nu jj \approx 146$  fb (small “QCD” contribution)
  - $Z Z jj \rightarrow 4ljj \approx 27$  fb (large “QCD” contribution x4 here)

Assessments on the expected precision for:

- VBS cross section in  $W_L W_L \rightarrow 2l2\nu$  (same sign) and  $Z_L Z_L \rightarrow 4l$
- **Discovery potential** for longitudinal scattering
- **Very crude (PRELIMINARY) statistical estimate of the sensitivity:**
  - assume  $V_T V_T$  and  $V_T V_L$  are known and are background, together with QCD  $VVjj$
  - compute **stat. significance** of  $V_L V_L$  signal



CMS CR -2015/219

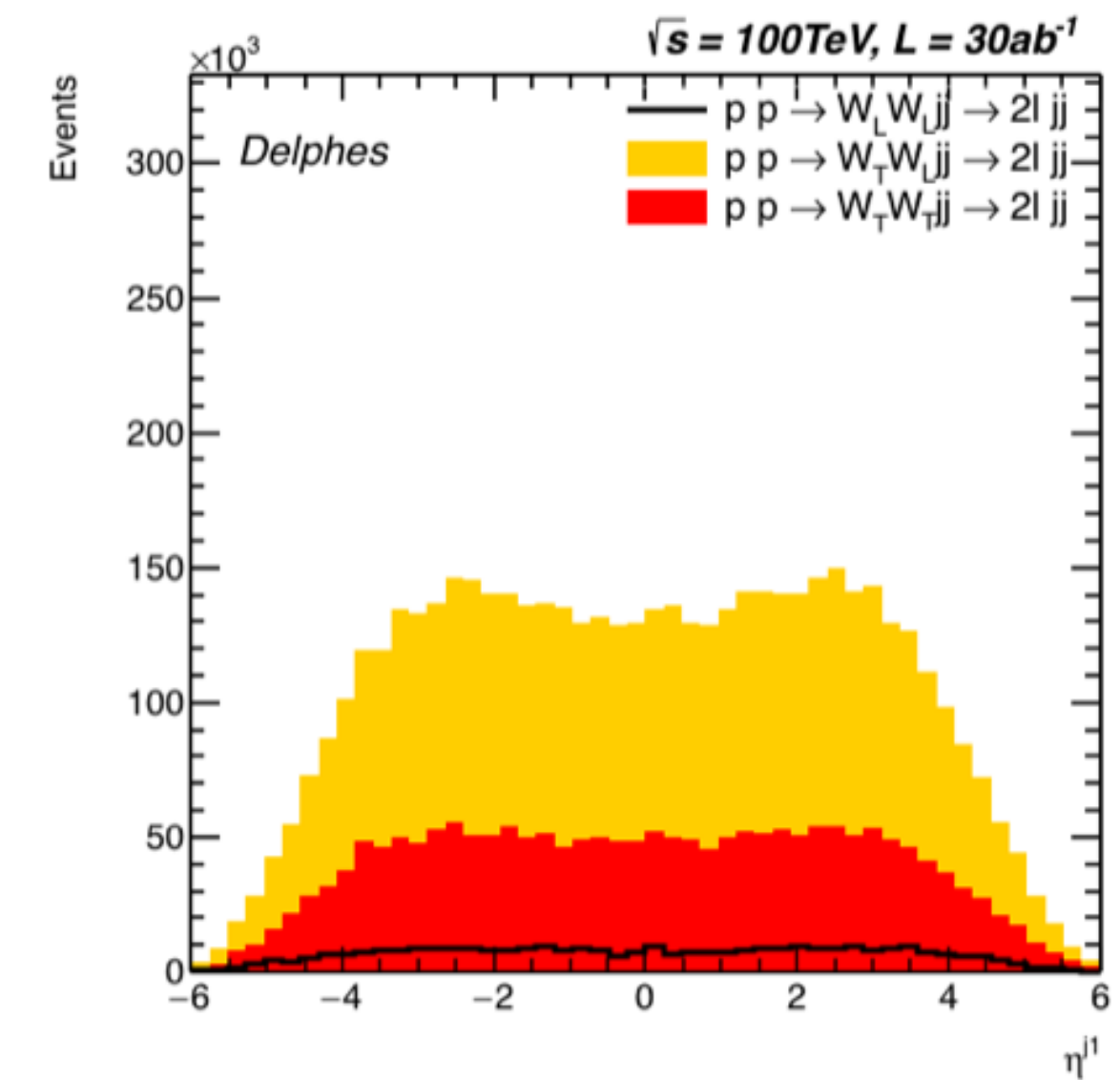
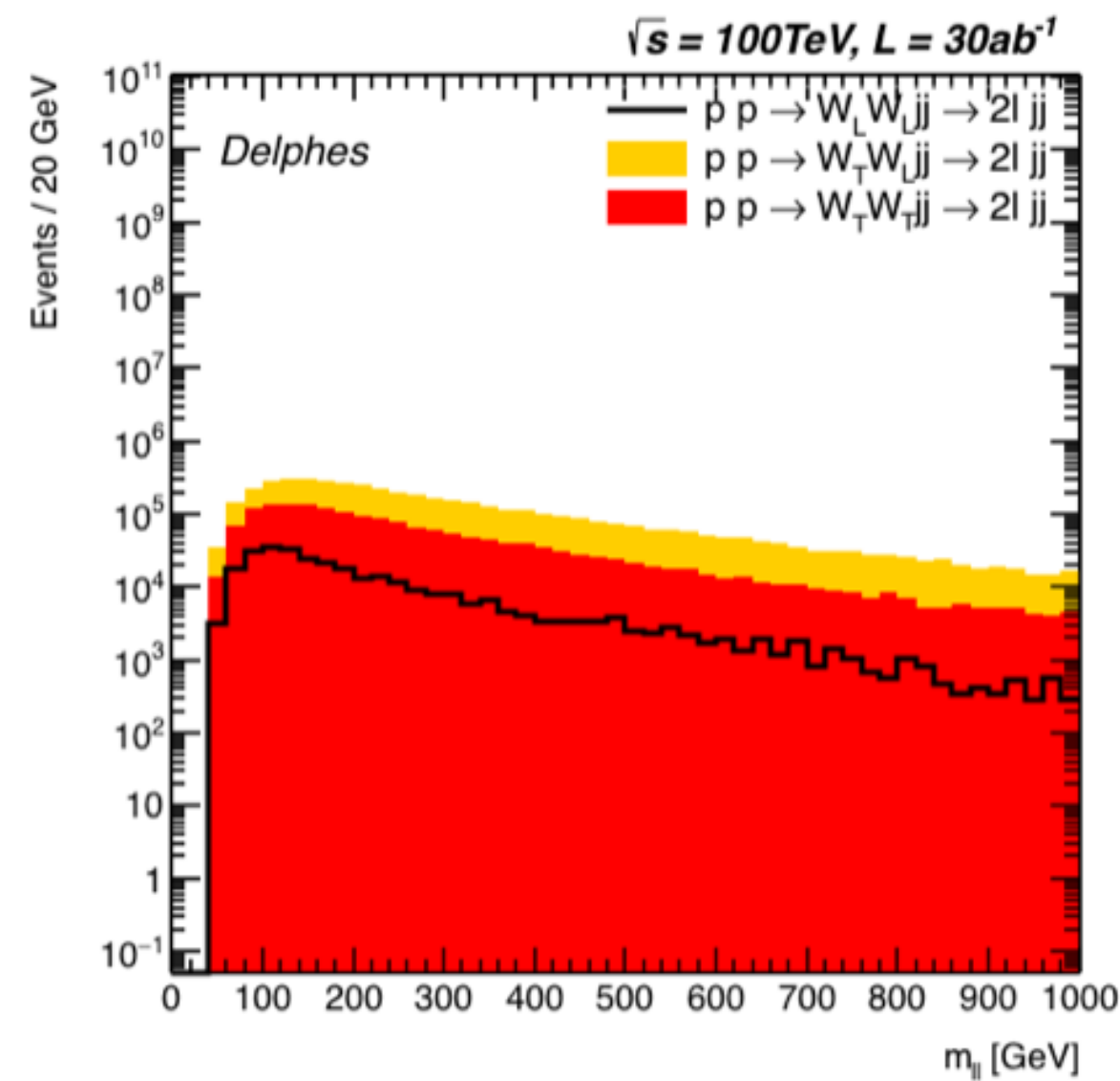
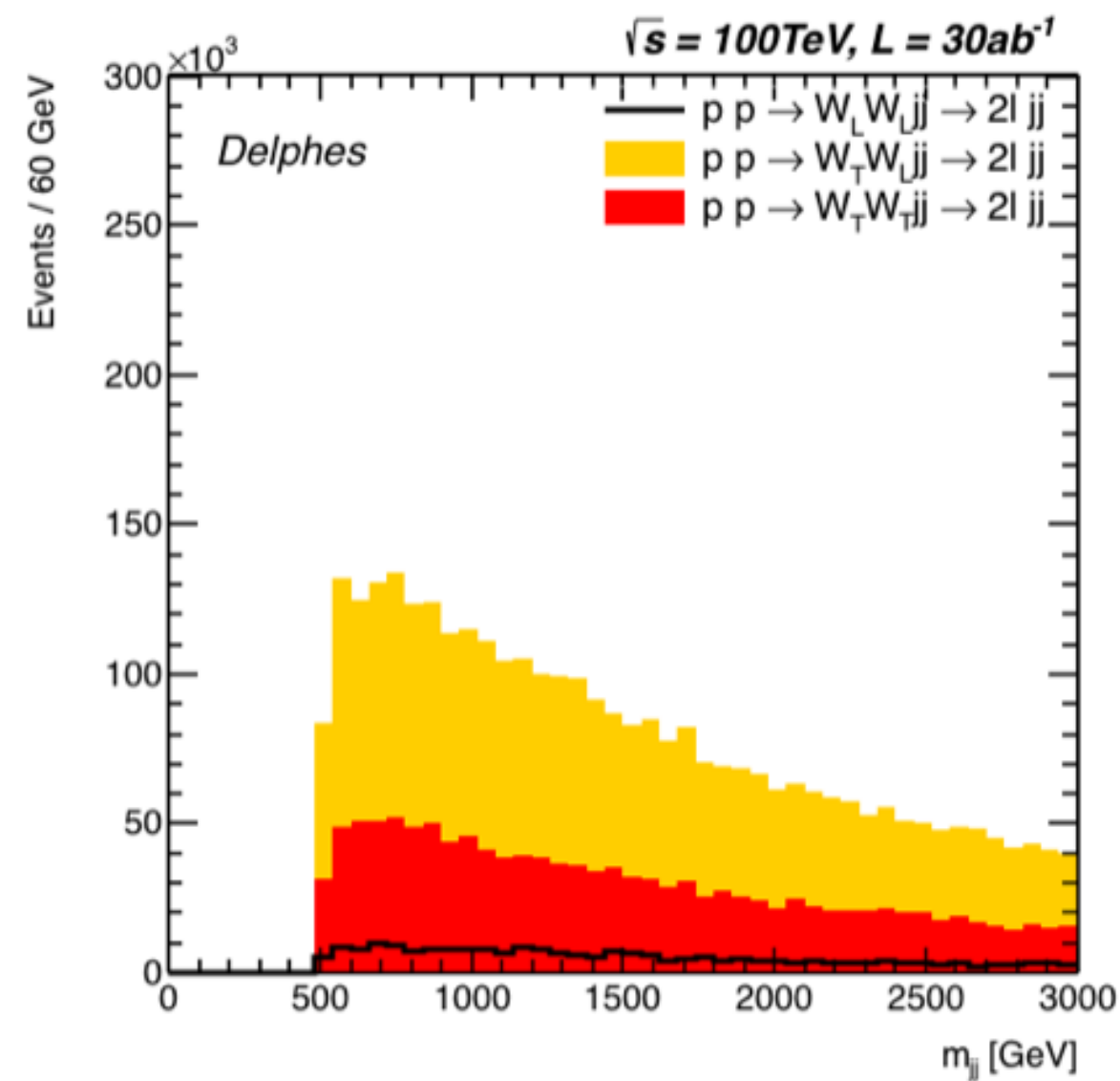
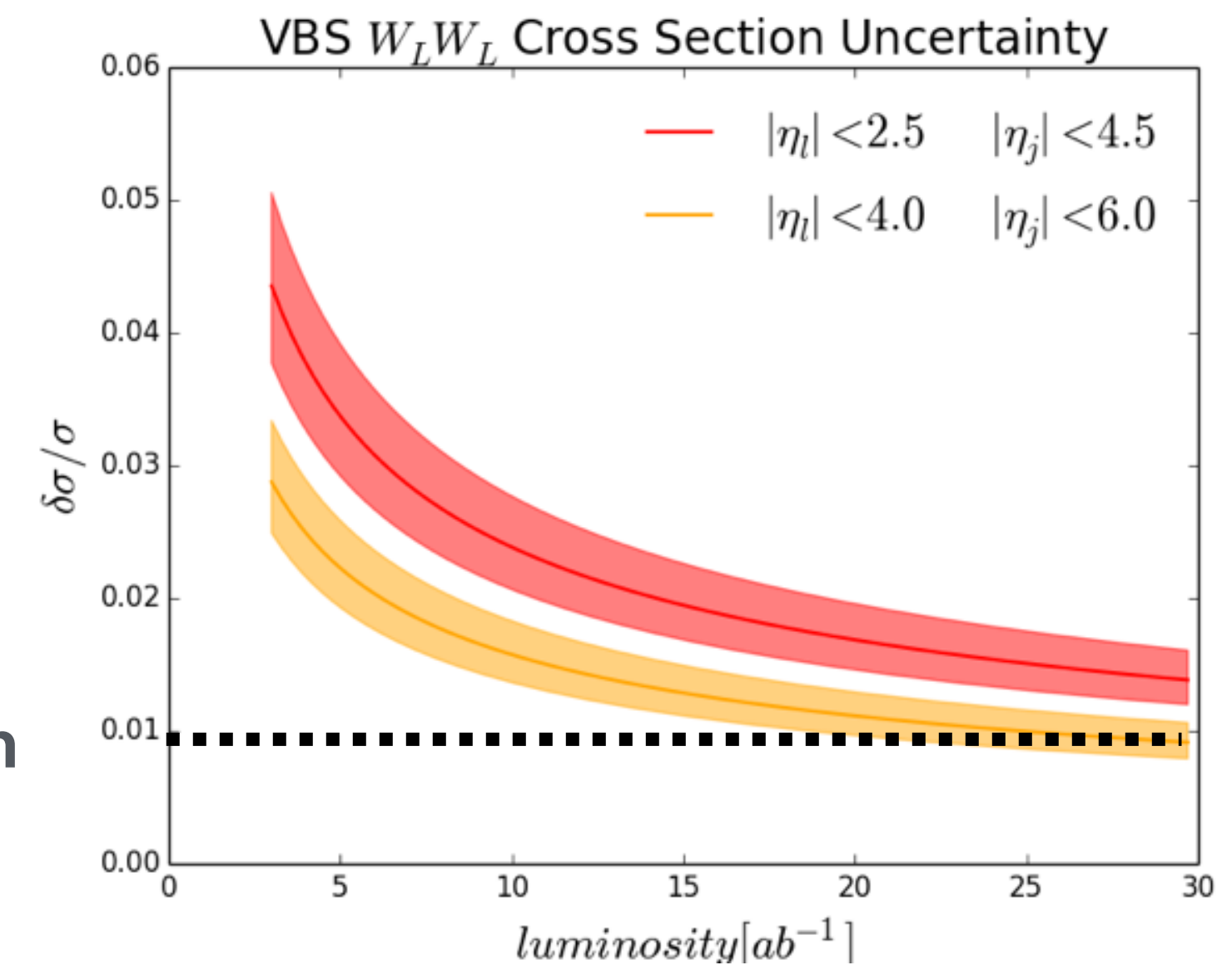


# VBS (WW same sign)

Simple cut and count strategy:

- $p_T(l) > 20 \text{ GeV}$ ,  $|\eta(l)| < 4.0$
- $p_T(j) > 30 \text{ GeV}$ ,  $|\eta(j)| < 6.0$
- $\Delta\eta(j,j) > 2,5$
- $m(j,j) > 500 \text{ GeV}$

$\delta\mu/\mu \approx 1 \%$  stat. precision

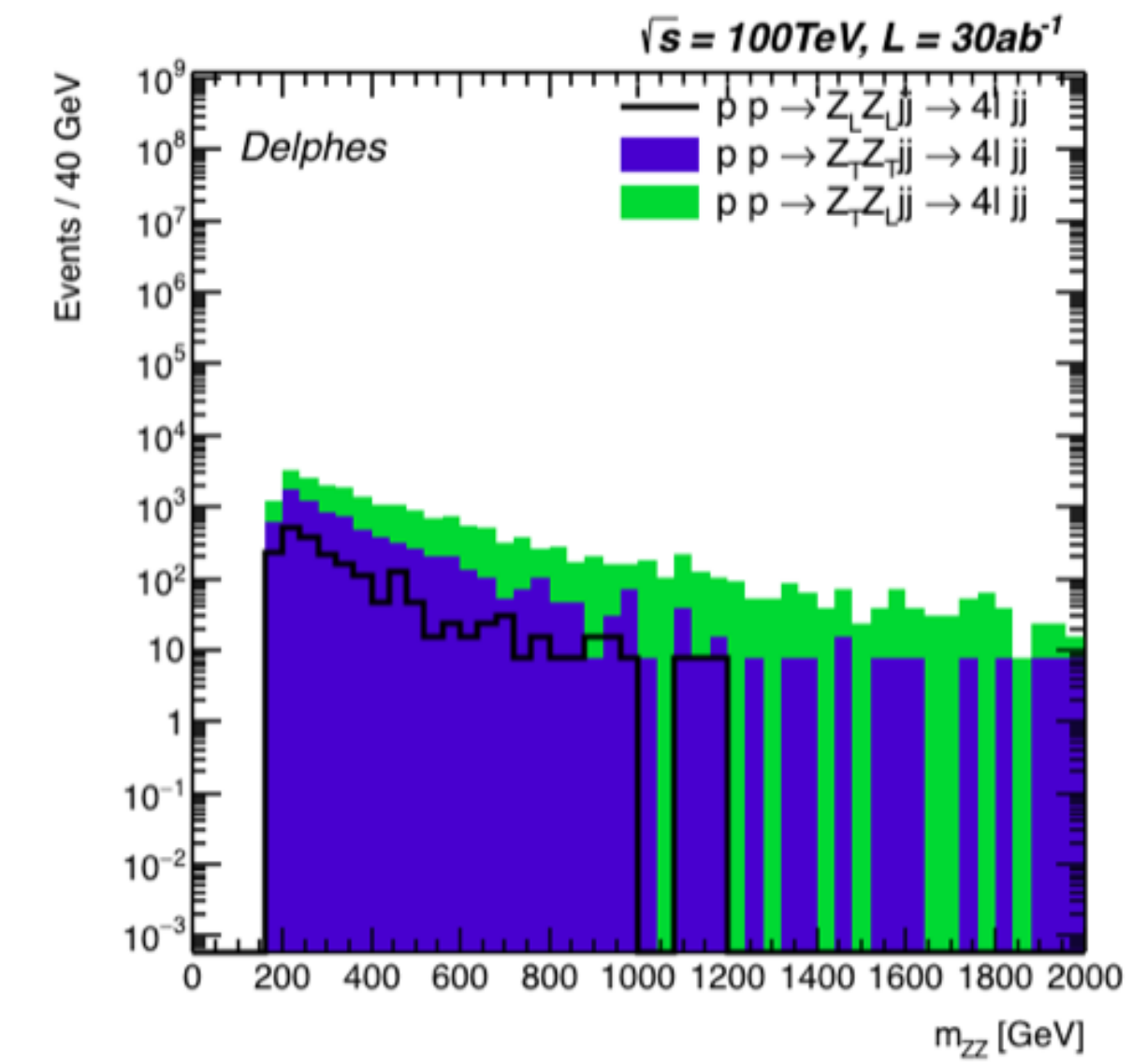
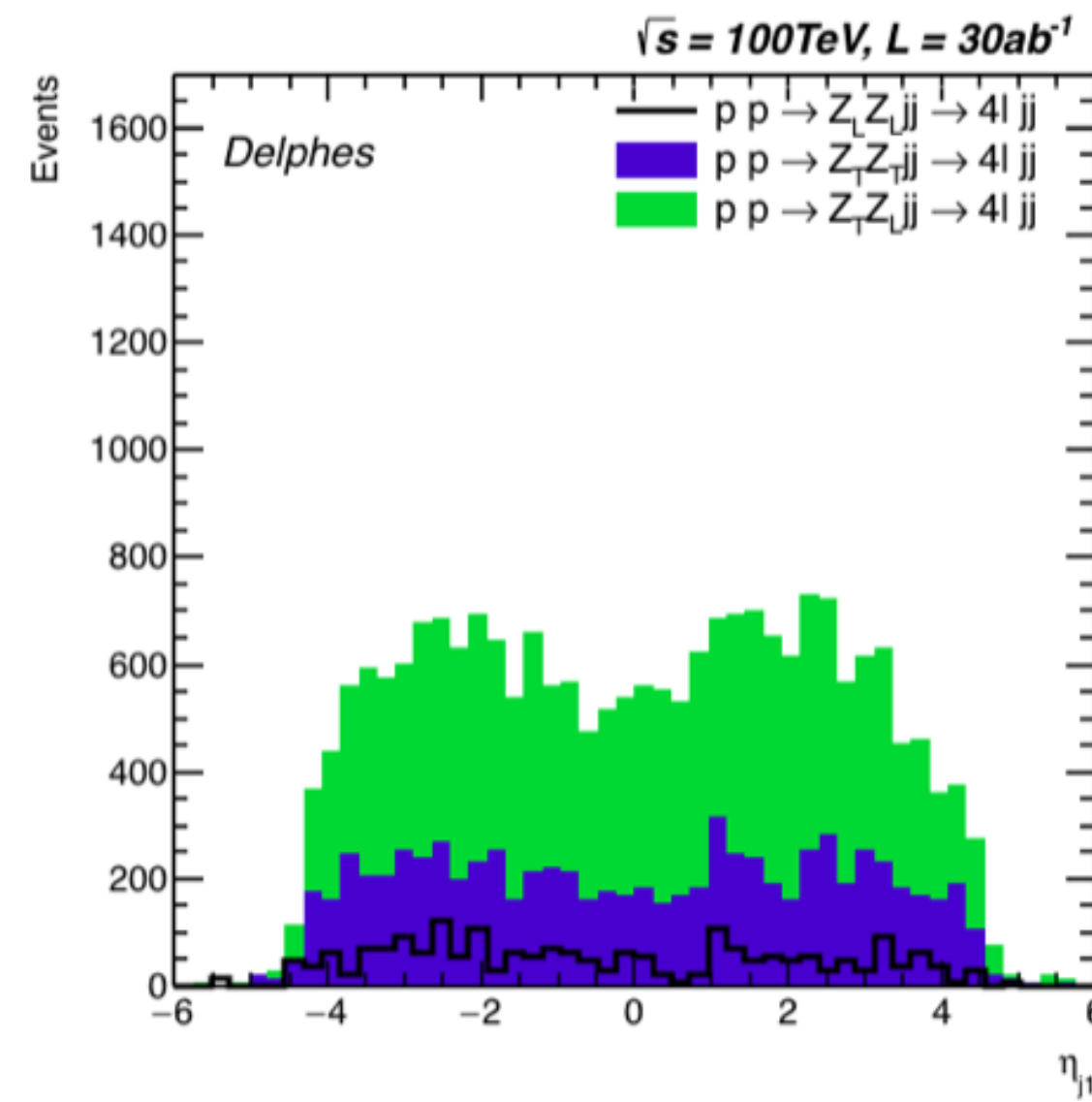
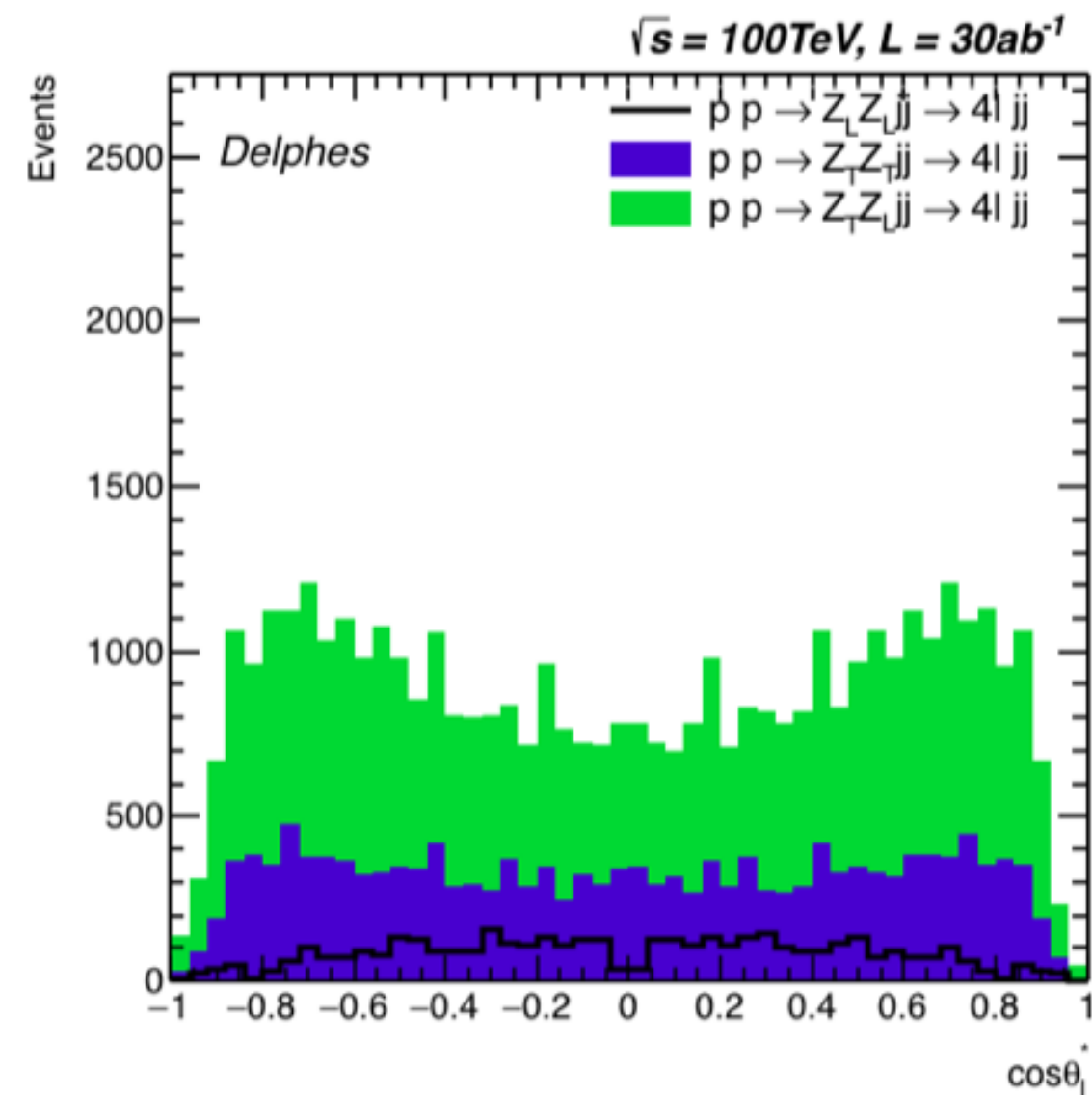
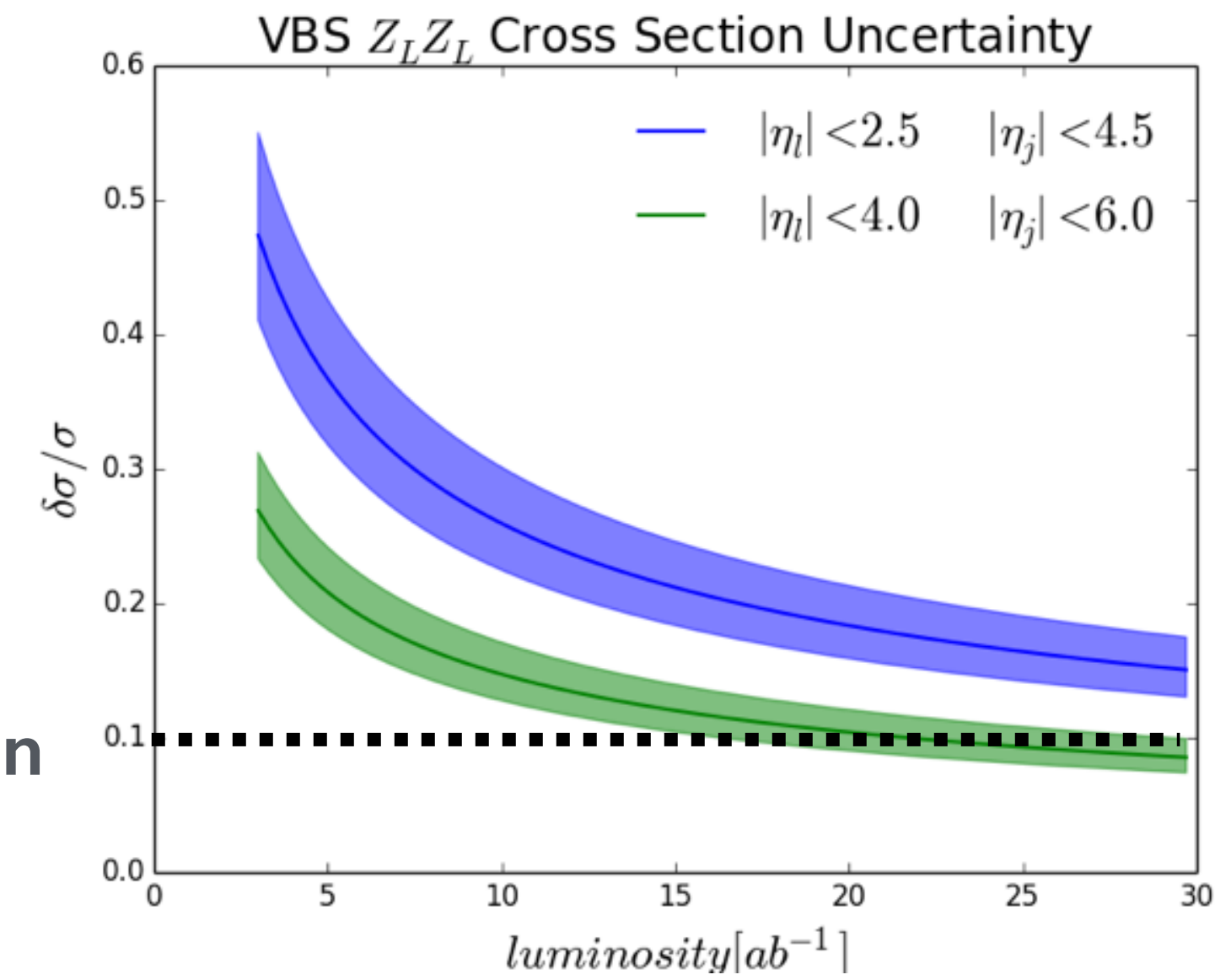


# VBS (ZZ)

Simple cut and count strategy:

- $p_T(l) > 20 \text{ GeV}$ ,  $|\eta(l)| < 4.0$
- $p_T(j) > 30 \text{ GeV}$ ,  $|\eta(j)| < 6.0$
- $\Delta\eta(j,j) > 3.5$
- $m(j,j) > 1000 \text{ GeV}$

$\delta\mu/\mu \approx 10 \%$  stat. precision



# Conclusions & outlook

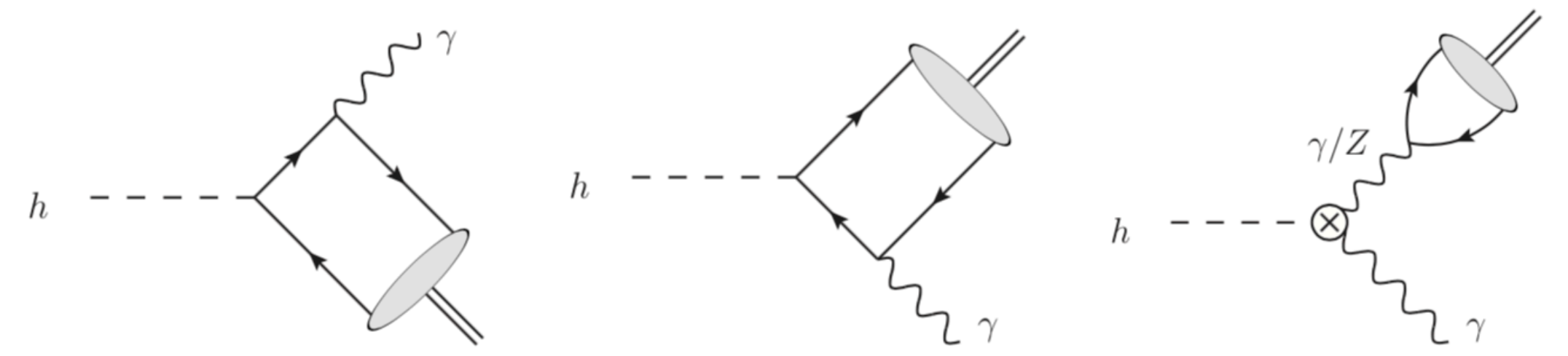
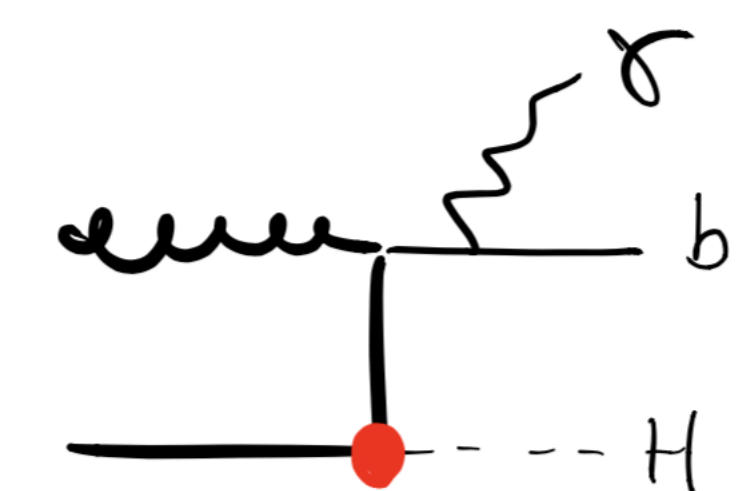
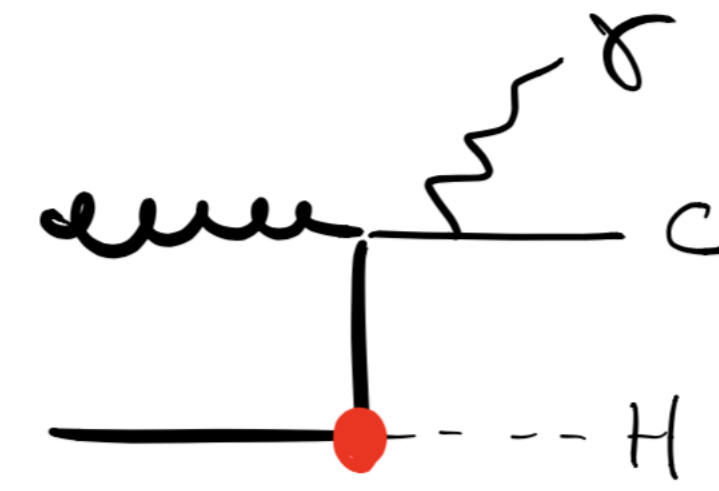
- The FCC-hh machine will produce  $> 10^{10}$  Higgs bosons
- Such **large statistics** open up a whole new range of possibilities
- First look at some Higgs **decay channels** was presented using **fast detector simulation** and **simple cut and count analysis**
- Measuring **ratios of couplings** (or equivalently BRs), allows to cancel systematics (1% precision on “rare” couplings within reach after absolute HZZ measurement in  $e^+e^-$ )
- VBS longitudinal polarisations  $V_L V_L$  can be measured at 1% level ( $W_L W_L$  same sign) and 10% ( $Z_L Z_L$ )
- Extremely rich Higgs program at the FCC, that goes much beyond (light yukawa, Higgs off-shell width measurement, Higgs differentials)

# Backup



# Charm and light yukawa

- Probe in production:
  - Charge (charm) = Charge (bottom)
- Exclusive  $H \rightarrow J/\psi \gamma$  decay ( $J/\psi \rightarrow \mu\mu$ )
- $VH \rightarrow ll cc$



Mode Method	Branching Fraction [ $10^{-6}$ ]		
	NRQCD [171]	LCDA LO [170]	LCDA NLO [173]
$\text{Br}(H \rightarrow \rho^0 \gamma)$	-	$19.0 \pm 1.5$	$16.8 \pm 0.8$
$\text{Br}(H \rightarrow \omega \gamma)$	-	$1.60 \pm 0.17$	$1.48 \pm 0.08$
$\text{Br}(H \rightarrow \phi \gamma)$	-	$3.00 \pm 0.13$	$2.31 \pm 0.11$
$\text{Br}(H \rightarrow J/\psi \gamma)$	$2.79^{+0.16}_{-0.15}$	-	$2.95 \pm 0.17$
$\text{Br}(H \rightarrow \Upsilon(1S) \gamma)$	$(0.61^{+1.74}_{-0.61}) \cdot 10^{-3}$	-	$(4.61^{+1.76}_{-1.23}) \cdot 10^{-3}$
$\text{Br}(H \rightarrow \Upsilon(2S) \gamma)$	$(2.02^{+1.86}_{-1.28}) \cdot 10^{-3}$	-	$(2.34^{+0.76}_{-1.00}) \cdot 10^{-3}$
$\text{Br}(H \rightarrow \Upsilon(3S) \gamma)$	$(2.44^{+1.75}_{-1.30}) \cdot 10^{-3}$	-	$(2.13^{+0.76}_{-1.13}) \cdot 10^{-3}$