



Low x meeting, Ischia 2009



Diffraction in PYTHIA

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MCnet studentship at University of Lund

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Outline:

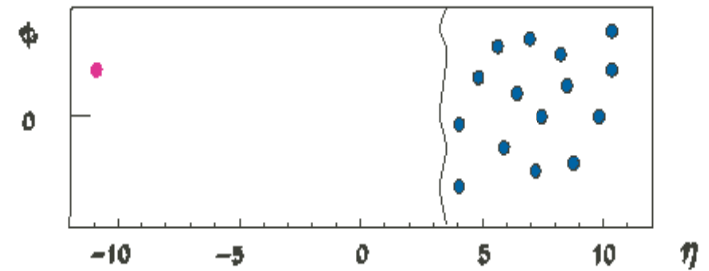
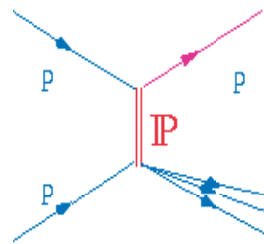
- Diffraction in PYTHIA – old description
- PYTHIA vs PHOJET
- Diffraction in PYTHIA – new description and distributions
- Outlook

Process Types

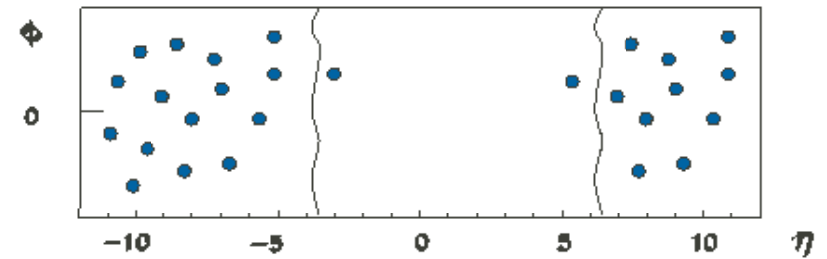
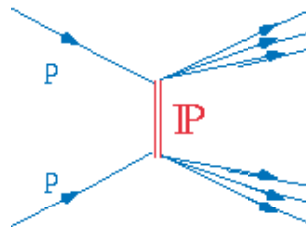
$$\sigma_{total} = \sigma_{elastic} + \sigma_{inelastic}$$

$$\sigma_{SD} + \sigma_{DD} + \sigma_{ND} + \dots$$

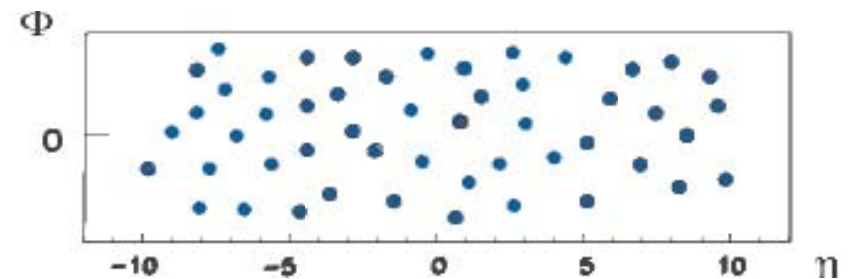
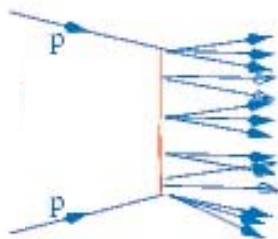
Single Diffraction - SD



Double Diffraction - DD



Non Diffractive - ND



Diffraction in PYTHIA – “old”

Event Generation:

- Diffractive cross sections given by model by Schuler and Sjöstrand (Phys. Rev. D 49, 2257 (1994))
- Diffractive mass (M_X) and momentum transfer (t) generated according to:

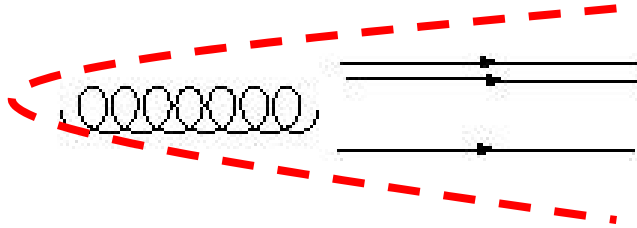
$$\frac{d^2s}{dt dM_X^2} \sim \frac{1}{M_X^2} e^{-b|t|}$$

Particle Production:

- $M_X < 1 \text{ GeV}c^{-2}$ above mass of incoming particles => isotropical decay into 2-body state
- More massive system treated as a string with quantum numbers of the original hadron

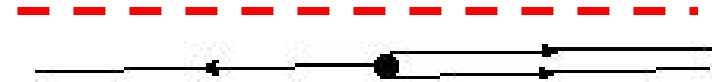
Diffraction in “old” PYTHIA – stretching the string

Has a gluon (g) and quark (q) contribution



Pomeron couples to gluon

Dominates at large M_X



Pomeron couples to valence quarks

Dominates at small M_X

Version 6.214 (Fortran)

- q and g contributions are set by a user-defined fixed ratio

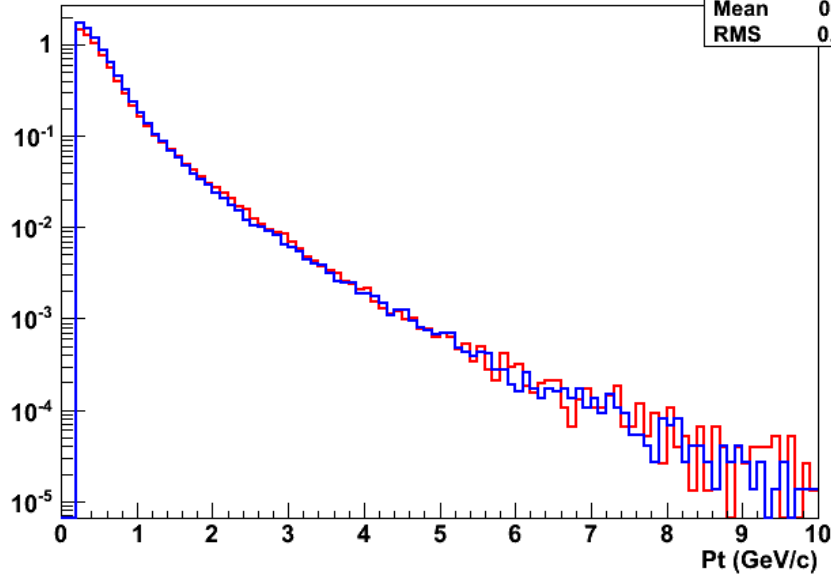
Version 8.1 (C++)

$$\frac{P(q)}{P(g)} = \frac{N}{M_X^p}$$

- Slopes (value of p) in q and g case are different
- mass (M_X) dependence

PYTHIA “old” vs PHOJET - p_T

fPtMCInel



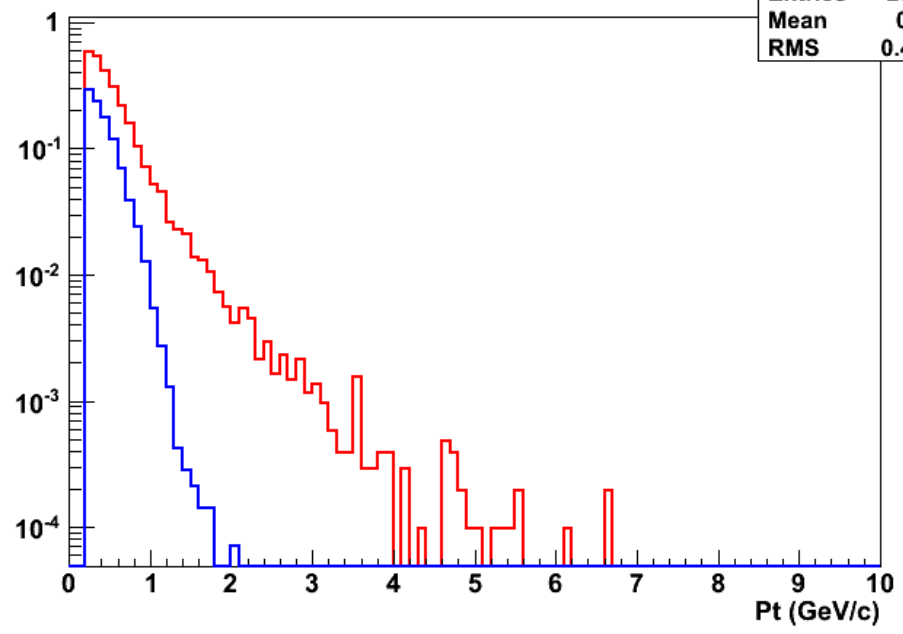
fPtMCInel
Entries 535346
Mean 0.6376
RMS 0.5434

Inelastic = SD + DD + ND

- Pythia
- Phojet

SD

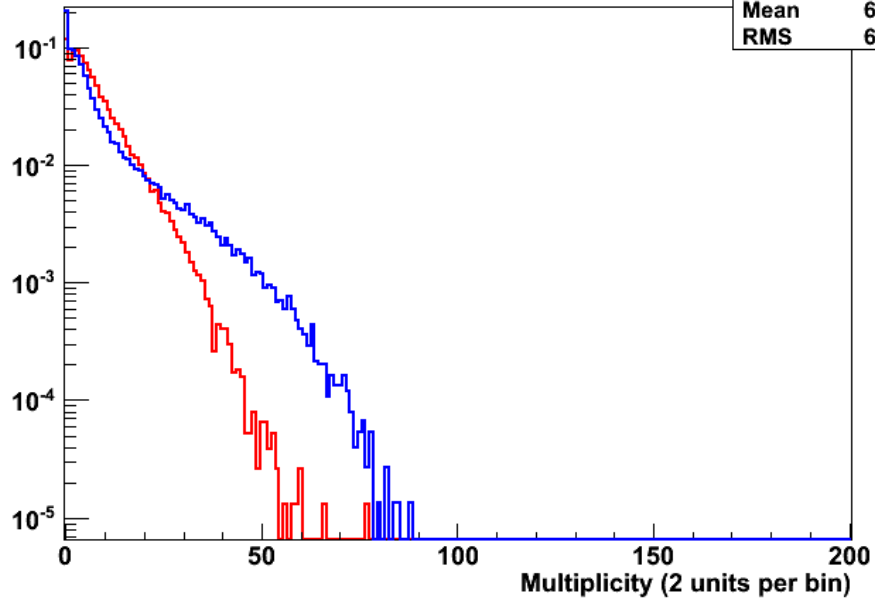
fPtMCSD



fPtMCSD
Entries 27506
Mean 0.561
RMS 0.4105

PYTHIA “old” vs PHOJET - N_{ch}

fMultiIMCInel



fMultiIMCInel

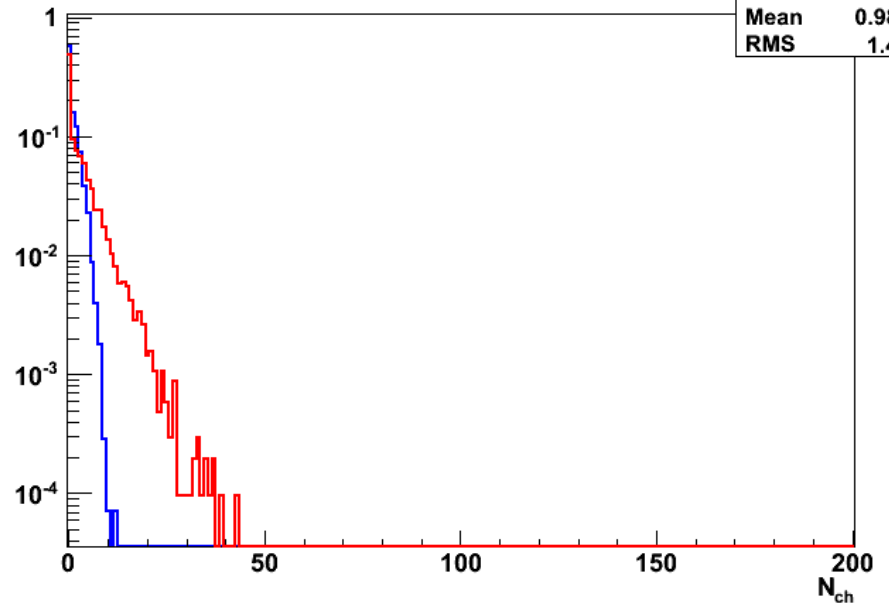
Entries	76884
Mean	6.963
RMS	6.885

Inelastic = SD + DD + ND

— Pythia
— Phojet

SD

MultiIMCSD



Entries	Mean	RMS
14056	0.9856	1.474

Diffraction in PYTHIA – “new”

Event Generation:

- Cross sections - same way as before
- Diffractive mass (M_x) and momentum transfer (t) picked by Pomeron flux model

Particle Production:

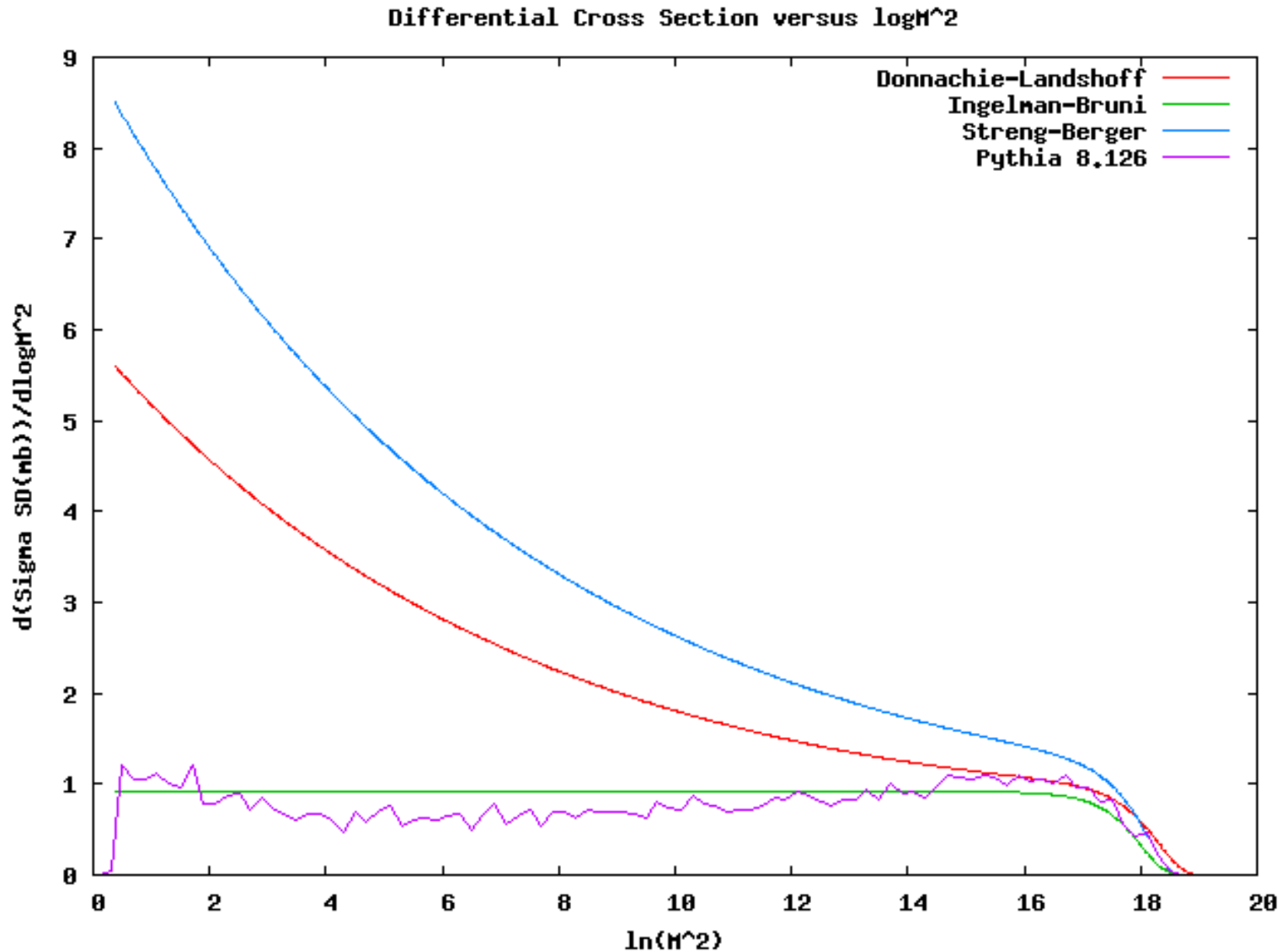
- Pomeron-p collisions
- Pomeron PDF with Q^2 -dependence from H1 data
 - H1 2007 DPDF Fit Jets and H1 2006 Fits A and B
 - Pion PDF also available
- Standard PYTHIA machinery for multiple interactions, parton showers, hadronization

Mass separation:

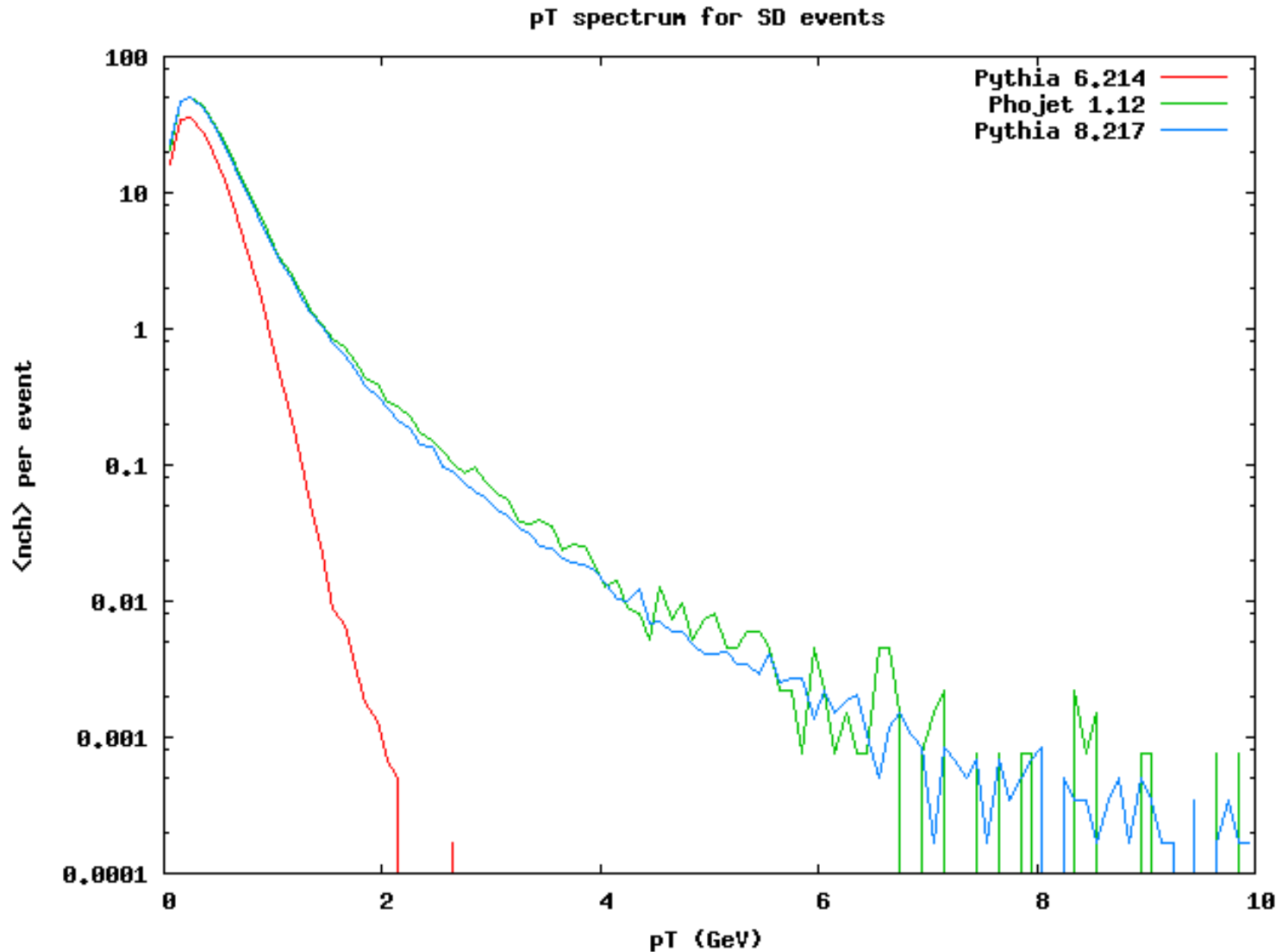
- For $1.2 \text{ GeV} < M_x < 10 \text{ GeV}$ non-perturbative description (as before)
 - longitudinally stretched strings
- For $M_x > 10 \text{ GeV}$ perturbative

Pomeron Flux factor

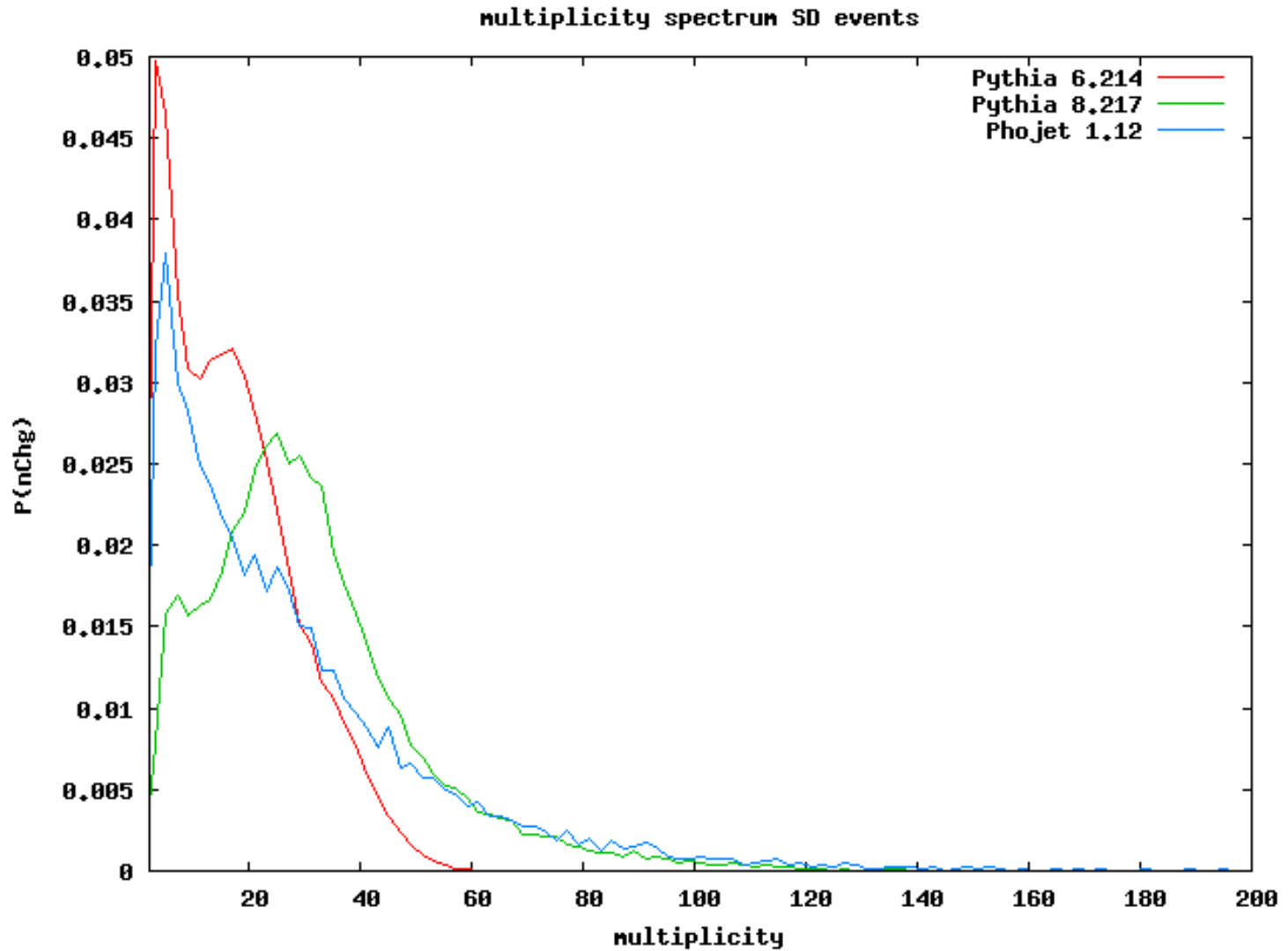
- Energy dependent



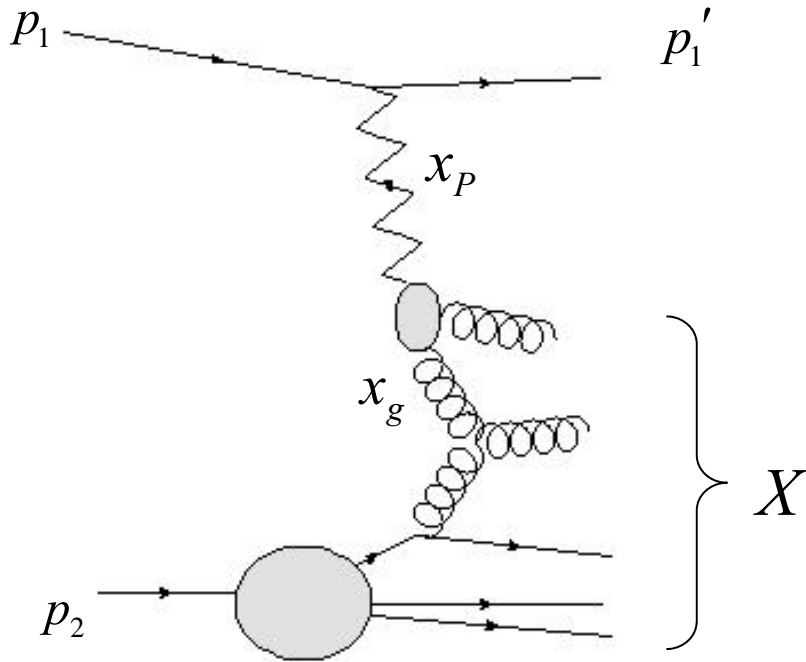
PYTHIA “old” vs “new” - pT



PYTHIA “old” vs “new” - Nch



Comments



In the massless limit

$$x_P \approx \frac{E_P}{E_{proton}} \quad x_g \approx \frac{E_g}{E_P}$$

$$M_X^2 \approx x_P S$$

Diffractive hard scattering cross section:

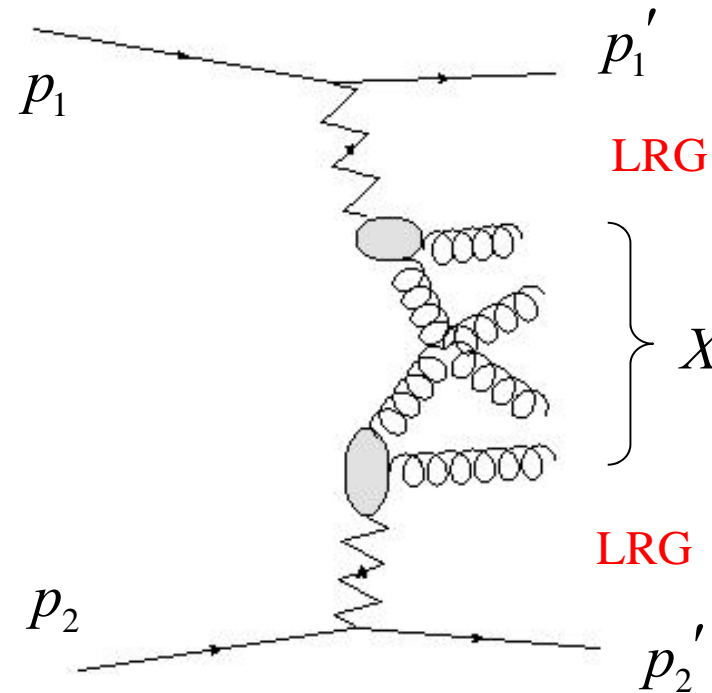
$$\frac{d\sigma}{dQ^2} \propto \underbrace{f_{P/proton}(x_P)}_{\text{Pomeron flux}} \underbrace{f_{q(g)/P}(x_{q(g)}, Q^2)}_{\text{Pomeron PDF}} \frac{d\hat{\sigma}}{dQ^2}$$

Not known from first principles

Multiple interactions => screening of diffractive rates

Future Plans

- Include Central Diffraction



- Does p_{T0} cut-off depend on the diffractive mass?
- Introduce a screening factor to go from ep to pp collisions
- Momentum sum of PDFs

Summary

- Earlier versions of PYTHIA had a primitive description of diffraction
- No hard diffraction – caused the difference in p_T and multiplicity tails compared to PHOJET
- New version has Pomeron description of diffraction
- Hard collisions can be simulated
- Better agreement with PHOJET

Back up slides

- Trigger efficiencies – ALICE
- SD, DD, ND events in ALICE detectors
- Diffraction in Phojet
- Extraction of fractions from data - ALICE

Trigger Efficiencies and corrections

$$\text{Efficiency} = N_{\text{triggered}} / N_{\text{total}} = \sum f_{\text{process}} e_{\text{process}}$$

$$= f_{SD} e_{SD} + f_{DD} e_{DD} + f_{ND} e_{ND}$$

- Need to know the fraction (f) and the efficiency (e) for each process.
- Efficiency is process, trigger and generator dependent

MB1 = SPD or V0A or V0C

MB1 efficiencies:

Process	SD	DD	ND
Fraction (f)	0.187	0.127	0.686
Efficiency (e)	0.714	0.864	0.999

Process	SD	DD	ND
Fraction (f)	0.134	0.063	0.803
Efficiency (e)	0.767	0.938	0.999

Pythia: 92.9%

Reason for difference:

f – uncertainty in cross sections

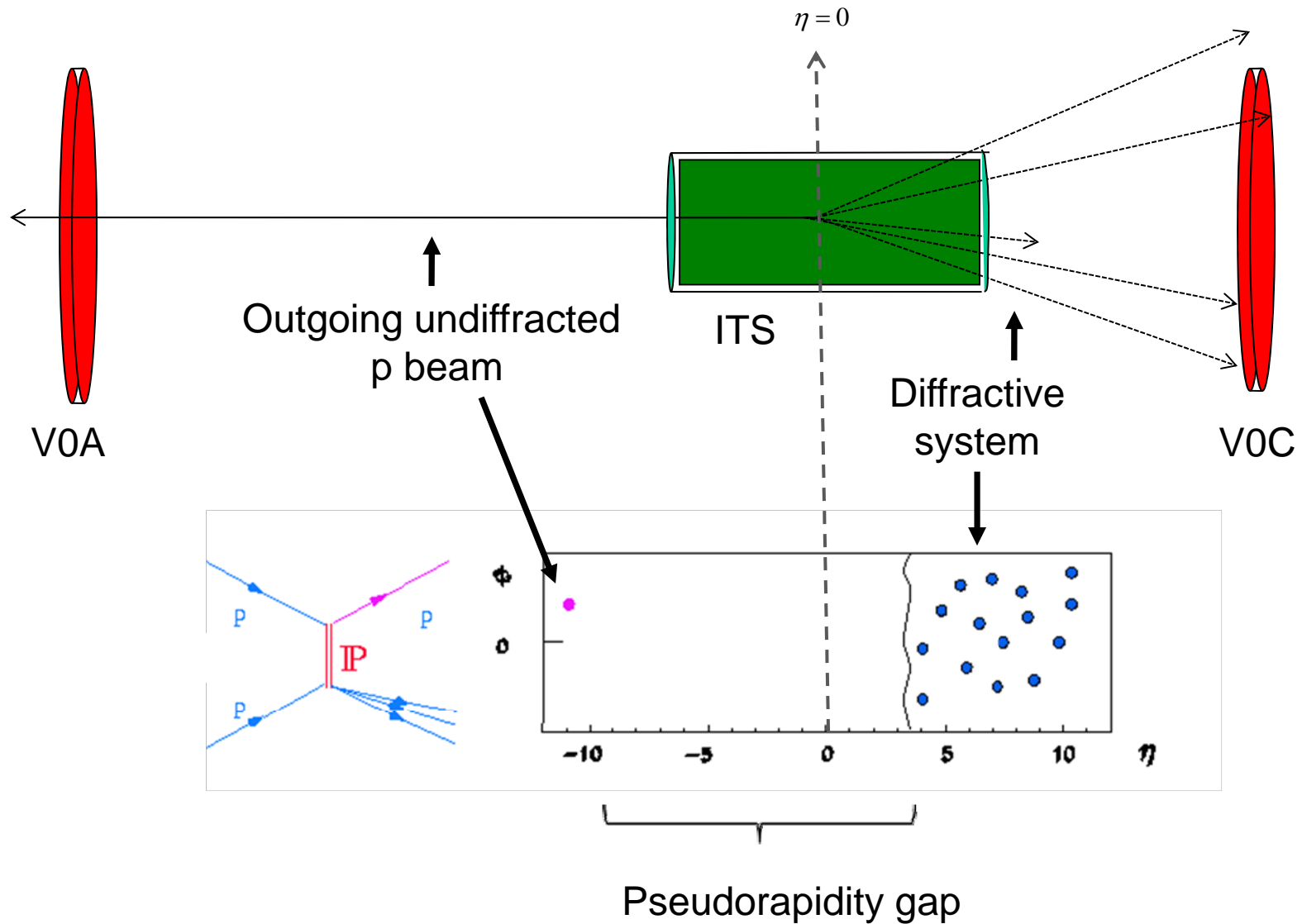
e – uncertainty in kinematics

Phojet: 96.4%

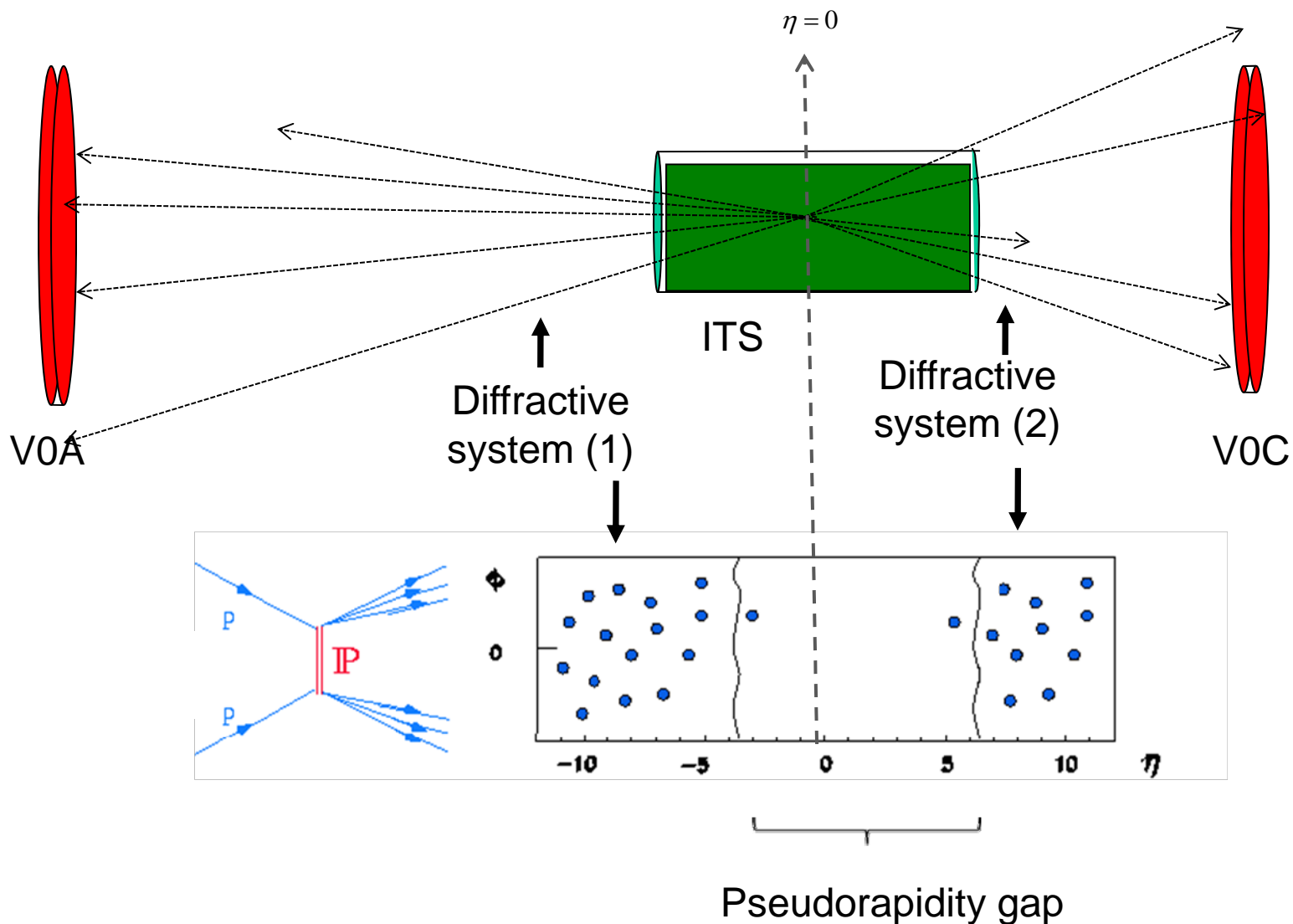
~2-4% effect each

Major difference is in diffractive events

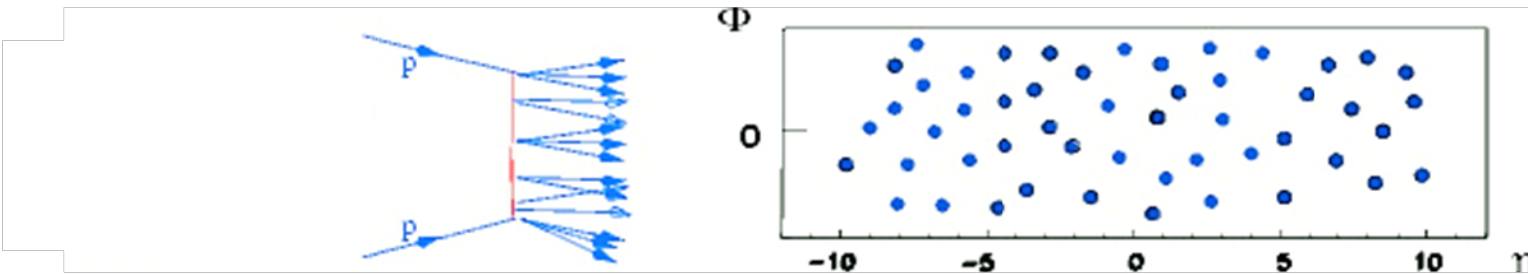
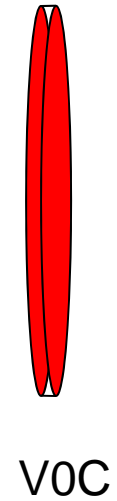
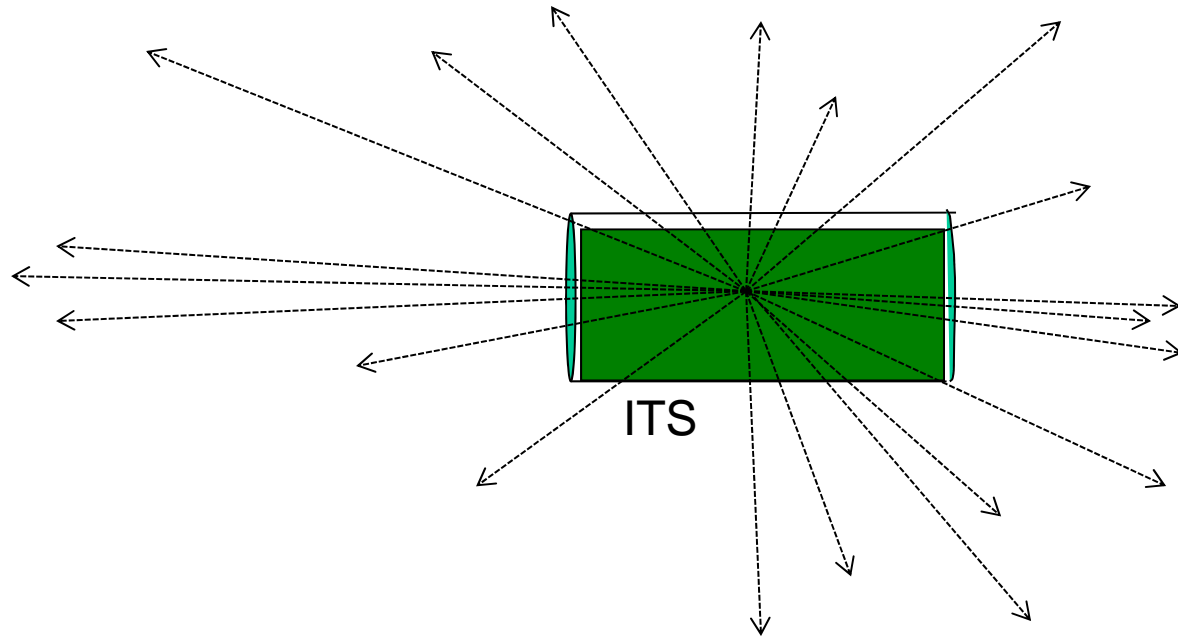
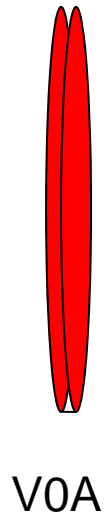
Single Diffraction (SD) in ALICE



Double Diffraction (DD) in ALICE



Non Diffractive (ND) events



No pseudorapidity gap

Central elements of Phojet

- R. Engel workshop on soft diffraction at LHC 26/6/09

Two component Pomeron

Only one pomeron with soft and hard contributions

Topological identification of different terms (Dual parton model)

Soft and hard partons differ in impact parameter distribution

Application of existing parton density parametrisation

Initial and final state radiation (leading $\log Q^2$ parton showers)

Extraction of fractions

- Z.Matthews 20/03/09, ALICE first physics meeting

- Trigger on bunch crossing
- Define 8 uncorrelated trigger types using SPD, V0A and V0C
- Measure N_{trig}

$$N_{trig} = N_{trig}^{SD} + N_{trig}^{DD} + N_{trig}^{ND} + N_{trig}^{NI}$$

$$N_{trig} = N_{gen} \left(\frac{N_{trig}^{SD} N_{gen}^{SD}}{N_{gen}^{SD} N_{gen}^{SD}} + \frac{N_{trig}^{DD} N_{gen}^{DD}}{N_{gen}^{DD} N_{gen}^{DD}} + \frac{N_{trig}^{ND} N_{gen}^{ND}}{N_{gen}^{ND} N_{gen}^{ND}} + \frac{N_{trig}^{NI} N_{gen}^{NI}}{N_{gen}^{NI} N_{gen}^{NI}} \right)$$

$$\underbrace{N_{trig}}_{\text{measured}} = N_{gen} \underbrace{(f_{SD} e_{SD} + f_{DD} e_{DD} + f_{ND} e_{ND} + f_{NI} e_{NI})}_{\text{calc}}$$

$$\chi^2 = \sum_{trig} \left[\frac{N_{trig-calc}(i) - N_{trig-measured}(i)}{\text{Error}(N_{trig-measured}(i))} \right]^2$$

- Program works out combinations of fractions to generate $N_{trig-calc}$ so as to minimise χ^2