

# Central Exclusive Production in CDF

Mass > 8 GeV (Jim Pinfold's talk for Mass < 5 GeV)

Mike Albrow, Fermilab, on behalf of CDF

$$\gamma\gamma \rightarrow e^+e^-, \mu^+\mu^-$$

$$\gamma + IP \rightarrow Y(1S), Y(2S), Y(3S), Z(?)$$

$$IP + IP \rightarrow \gamma\gamma$$

Search

## Introduction

e+e- Mass 10 – 40 GeV (and  $\gamma\gamma$ ) ... not new, a brief reminder

e+e- and  $\mu+\mu-$  Mass 40 – 100 GeV, and Exclusive Z search (recent PRL)

$\mu+\mu-$  Mass 8 – 40 GeV, Upsilon Y photoproduction,  $\chi_b$ ?(prelim.)

## Some LHC-relevant comments

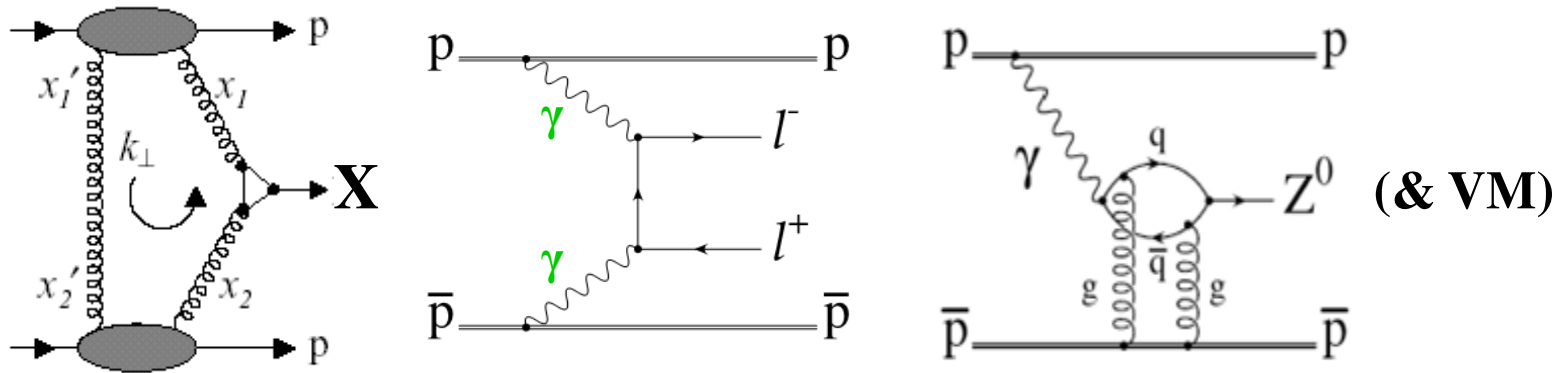
# Introduction

## Central Exclusive Production

$$p + \bar{p} \rightarrow p + X + \bar{p}$$

where  $X$  is a simple state fully measured, and no other particles produced.

(Cannot detect p/pbar, down beam pipe, but BSC  $\rightarrow \eta = 7.4$  empty)



## Motivation:

In CDF, sophisticated tests of QCD with large rapidity gaps  $\Delta y$

Looking forward to LHC:

Interesting examples  $\rightarrow$

$$X = h, H, W^+W^-, H^+H^-, \tilde{l}^+\tilde{l}^-, \dots$$

If see  $h, H$  : **Mass, width, spin  $J$ ,  $C = +1$ , Couplings  $H - gg, \dots$**

in a unique way, even if e.g.  $h(140) \rightarrow b\bar{b}$  &  $H(150) \rightarrow b\bar{b}$



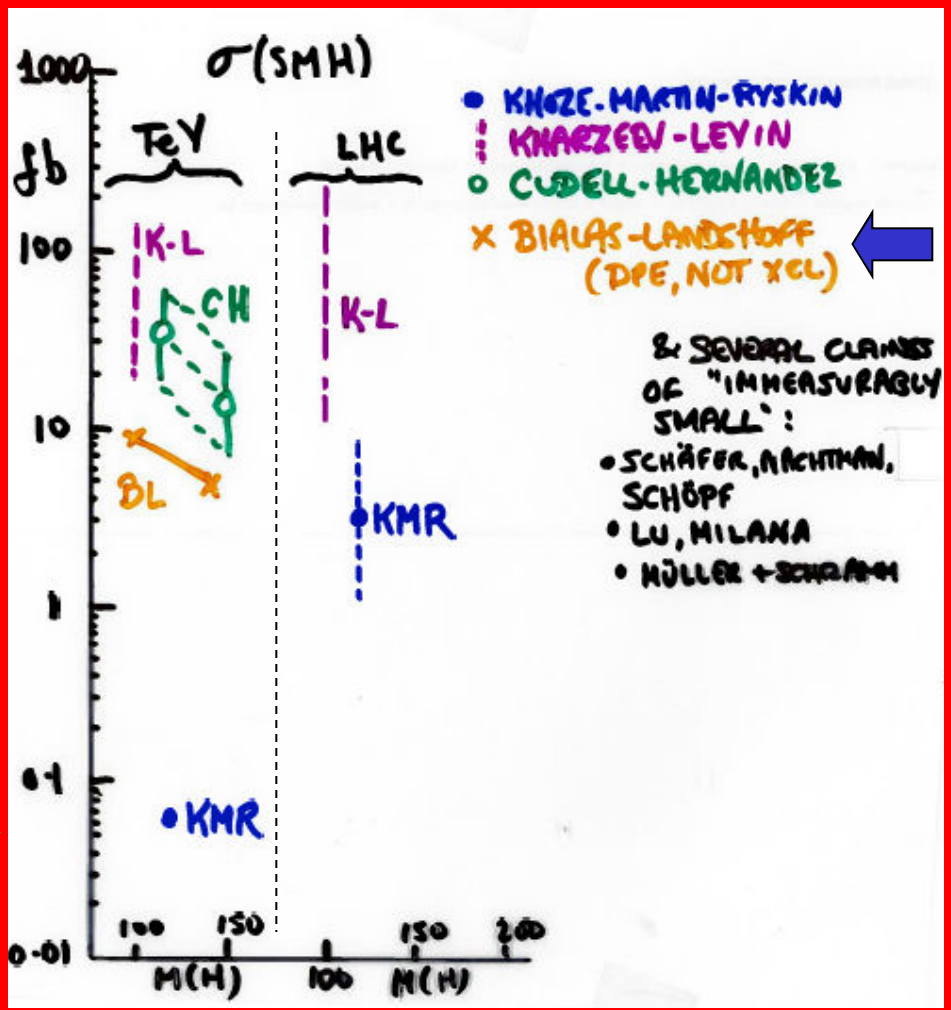
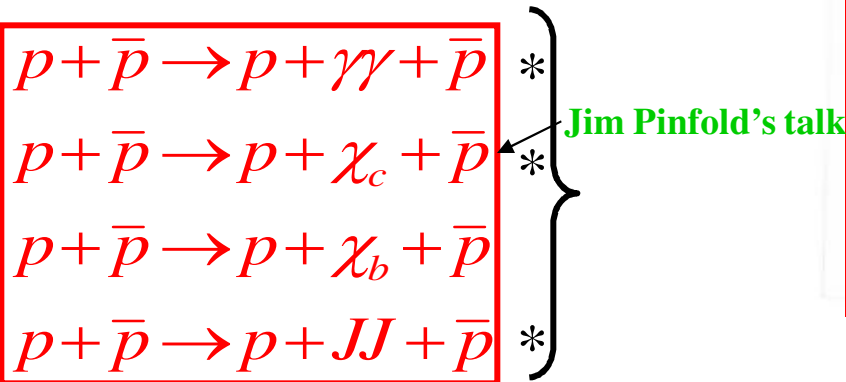
# Exclusive Higgs production?

$\sigma(p+H+p)$  was uncertain by a factor  $> 1000$  in 2000

Letter of Intent 2001  
 hep-ex/0511057  
 p+H+p at Tevatron?

Not impossible according to some!

We absolutely needed some experimental input to home in on what to expect!



\* Now measured in CDF

$$p + \bar{p} \rightarrow p + \gamma + \bar{p}$$

$$p + \bar{p} \rightarrow p + \chi_c + \bar{p}$$

$$p + \bar{p} \rightarrow p + \chi_b + \bar{p}$$

$$p + \bar{p} \rightarrow p + JJ + \bar{p}$$

Cleanest (no S.I.) but smallest  $\sigma$

KMR: 36 pb in our box : . 2+1 candidates

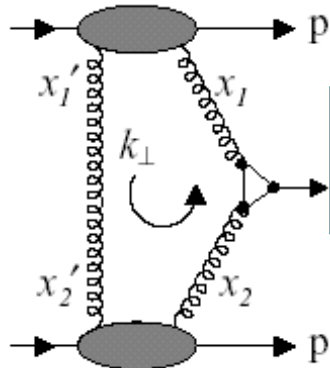
Clean, big  $\sigma$ :

$$\frac{d\sigma}{dy}(y=0) \sim 90 \text{ nb (KMRS)}$$

but M(c) small (non-pert) & hadron

More perturbative, smaller theory uncertainty  
But  $\sigma \sim 1/500^{\text{th}} \chi_c$ . Also BR's not known!  
May not be possible at Tevatron.

Accessible cross section, but least well defined (jets!)  
and largest background.  $\sim 100 \text{ pb}$  for  $M(JJ) > 30 \text{ GeV}$

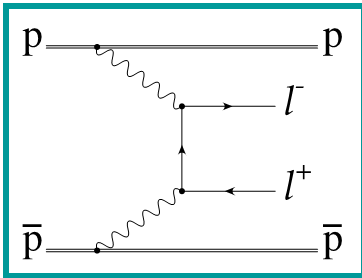
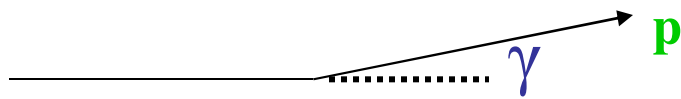


$\sigma(600), f_0(980)$   
 $\gamma, \chi_c, \chi_b, JJ, H$

ISR did it

Our 3 measurements are all in good agreement  
(factor “few”) with the Durham group predictions.

Observation of Exclusive Electron-Positron Production in Hadron-Hadron Collisions



Tevatron as a  $\gamma\gamma$  collider!

e+e- Mass 10 – 40 GeV

LEP etc: e+e- (~ background free)  
HERA: e p High b/g ... Seen  
pp/ ppbar: Very high b/g ... Seen in CDF

**Trigger:**

2 EM showers > 4 GeV ET + BSC1 rap.gaps.

**Off-line:**

All detectors  $|\eta| < 7.4$  consistent with noise (empty)

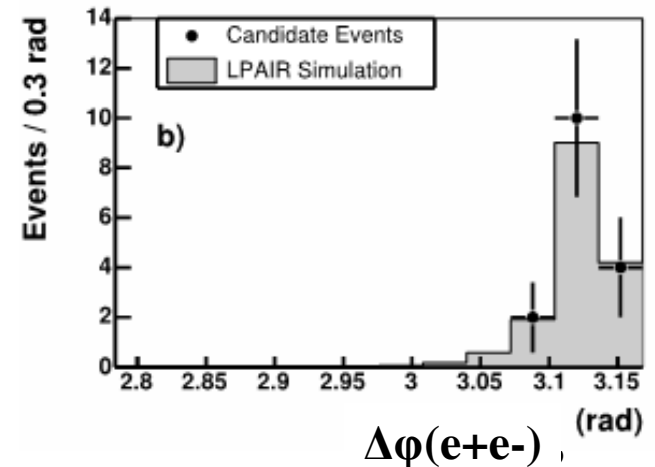
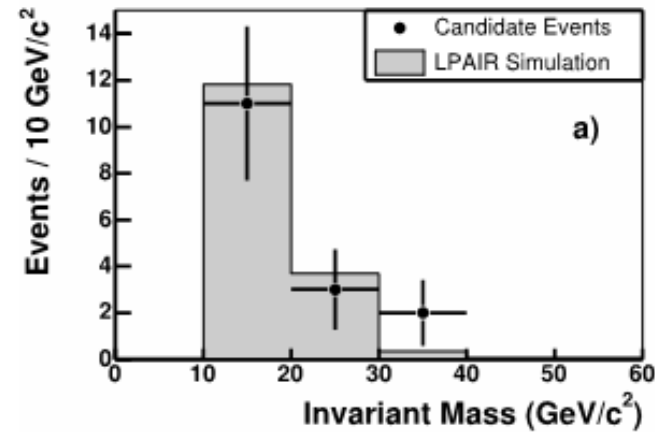
2 EM showers  $|\eta| < 2.0$ , ET > 5 GeV

532/pb  $\rightarrow$  46/pb (no-PU)



16 events with two tracks, all + & -, all back to back, all same pT within resolution. B/g (diff Diss) ~ 1.9 events.

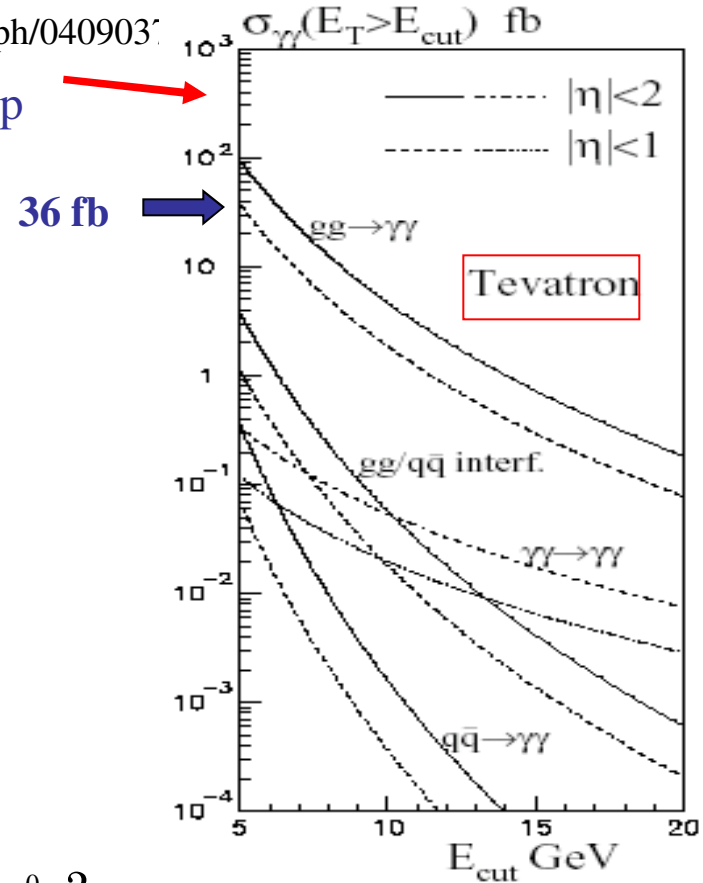
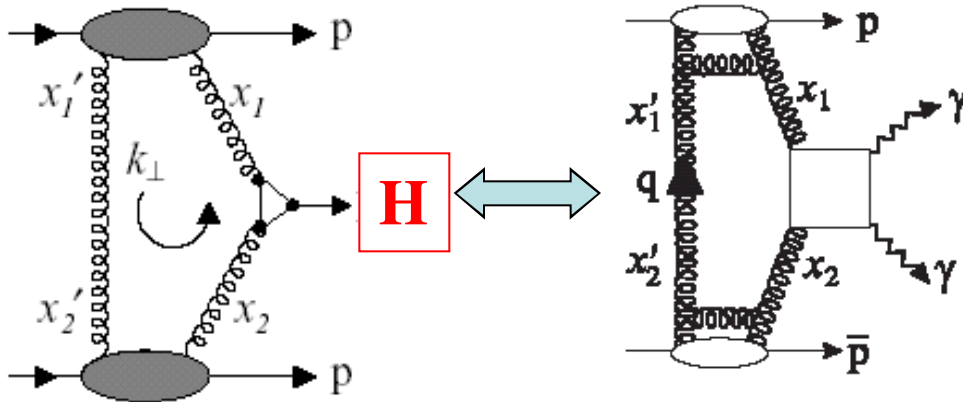
$\sigma(|\eta| < 2, p_T > 5 \text{ GeV}/c^2)$  :  
CDF:  $1.6_{-0.3}^{+0.5} \text{ (stat)} \pm 0.3 \text{ (syst) pb}$   
QED(LPAIR):  $1.71 \pm 0.01 \text{ pb}$



### Search for Exclusive $\gamma\gamma$ Production in Hadron-Hadron Collisions

Khoze, Martin and Ryskin, Eur.Phys.J. C23: 311 (2002) ; KMR+Stirling hep-ph/0409037

Claim factor  $\sim 3$  uncertainty ; Correlated to  $p+H+p$



$\gamma\gamma \rightarrow \gamma\gamma$  &  $q\bar{q} \rightarrow \gamma\gamma$  much smaller

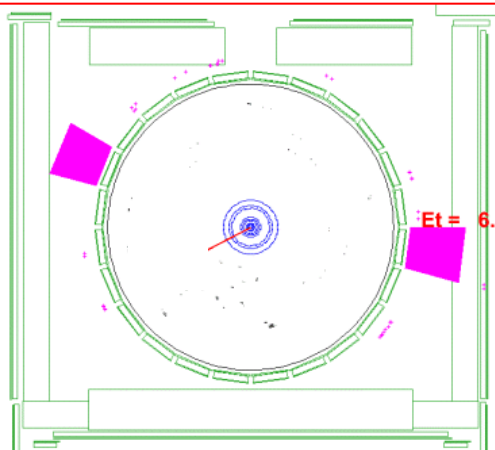
$$E_T(\gamma) > 5 \text{ GeV}; |\eta(\gamma)| < 1.0$$

3 candidates, 2 golden, 1 ?  $\pi^0\pi^0$  ?

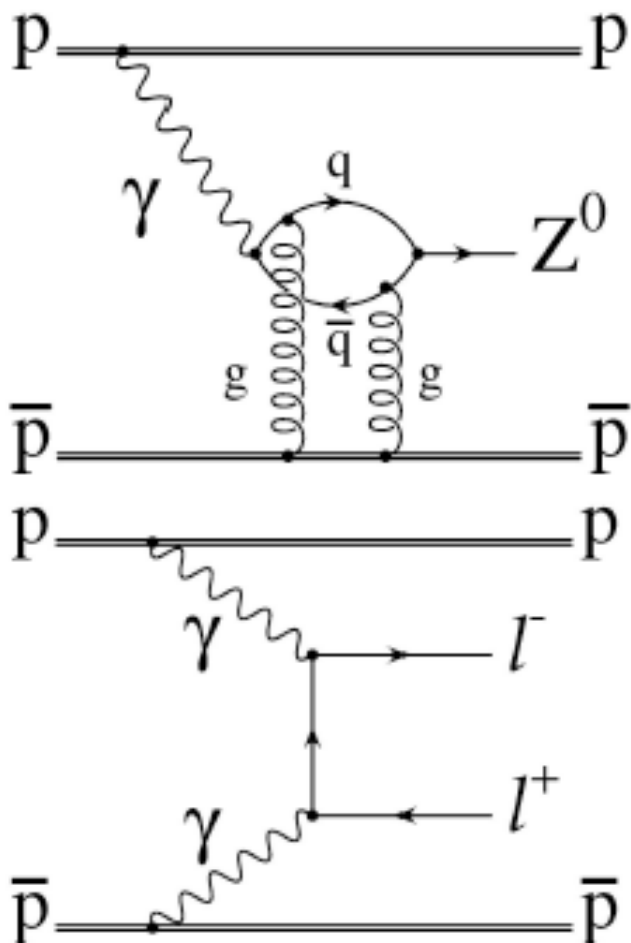
Note :  $\sigma_{MEAS} \approx 2 \times 10^{-12} \sigma_{INEL}$  !

36 fb  $\rightarrow$  0.8 events

New data, Lower threshold, possible “observation”



Search for Exclusive Z-Boson Production and Observation of High-Mass  $p\bar{p} \rightarrow p\gamma\gamma\bar{p} \rightarrow pl^+l^-\bar{p}$   
Events in  $p\bar{p}$  Collisions at  $\sqrt{s} = 1.96$  TeV



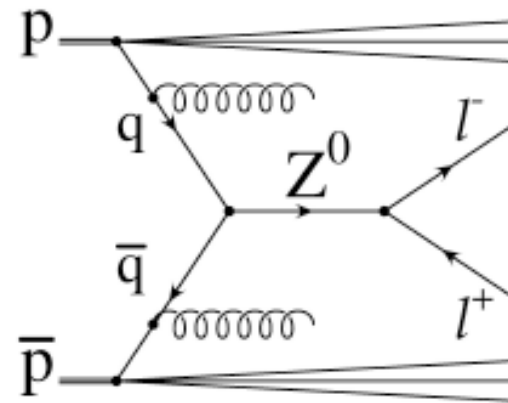
- Exclusive Z photoproduction is SM process, but very small cross section at Tevatron:
  - $\sigma(\text{SM}) = 0.3$  fb (Motyka & Watt 2008)
  - $\sigma(\text{SM}) = 0.21$  fb (Goncalves & Machado 2008)
- Observation would mean BSM physics: example A.R.White Phys Rev D72: 036007
- Final state identical to exclusive dilepton production.
- This “background” is also interesting: could be used to **calibrate forward proton detectors** [ $\xi(\bar{p}) = s^{-1/2} \sum p_T^\ell e^{-\eta_\ell}$ ].
 

↑  
Fractional momentum loss of  $\bar{p}$



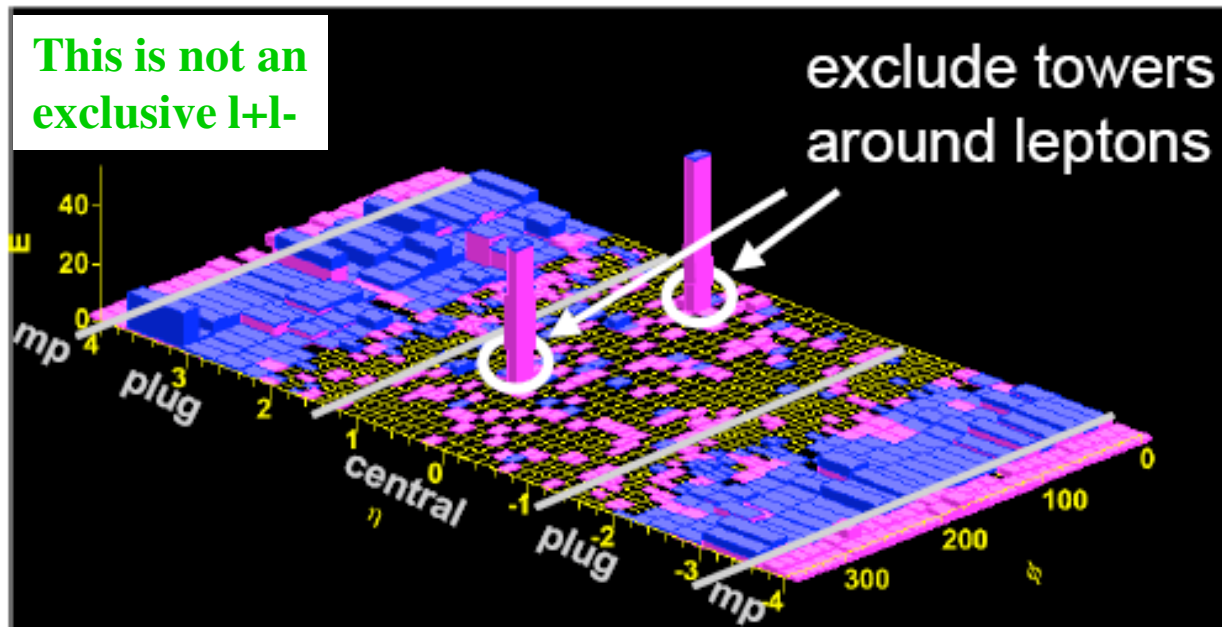
Select  $Z \rightarrow \ell\ell$  ( $\gamma\gamma \rightarrow \ell\ell$ ) events:

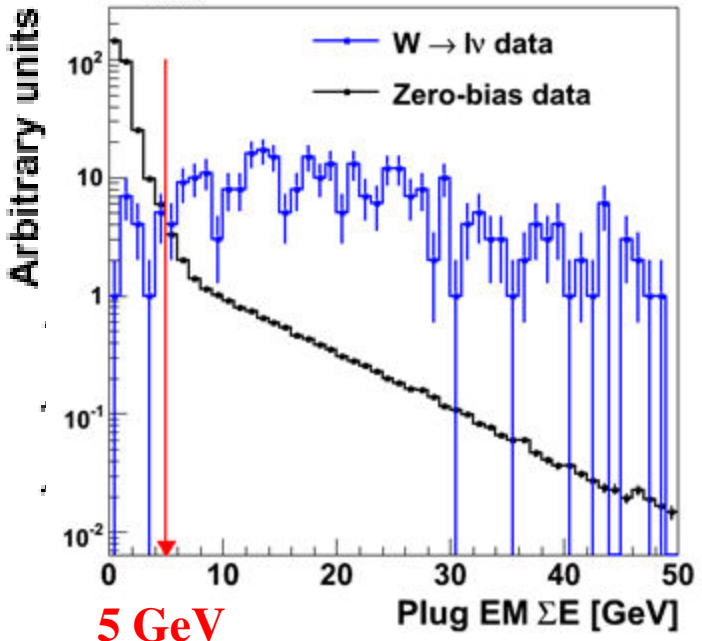
- $e^+e^-$  or  $\mu^+\mu^-$  pair with  $p_T^{\ell} > 25(20)$  GeV
- require  $82 < M_{\ell\ell} < 98$  ( $M_{\ell\ell} > 40$ ) GeV
- Dominated by *non-exclusive* Z production ( $\sigma \sim 250$  pb).
- Require no other particles in the event.



- 1) Require no additional reconstructed tracks.
- 2) Cut on  $\Sigma E$  in each sub calorimeter:

CENTRAL EM and HAD; PLUG EM and HAD; MINIPLUG EAST and WEST





Exclusivity cuts: Use 0-bias data (important!)  
 Select events with no tracks,  
 compare with  $W \rightarrow lv$  in all different detectors  
 $\gg W$  cannot be exclusive  
 Choose cuts efficient for “noise” = “empty”,  
 inefficient for  $W$  events.  
 Example: **Plug EM  $\Sigma E < 5$  GeV**  
 Not same method as for other studies.  
 More efficient, maybe more background

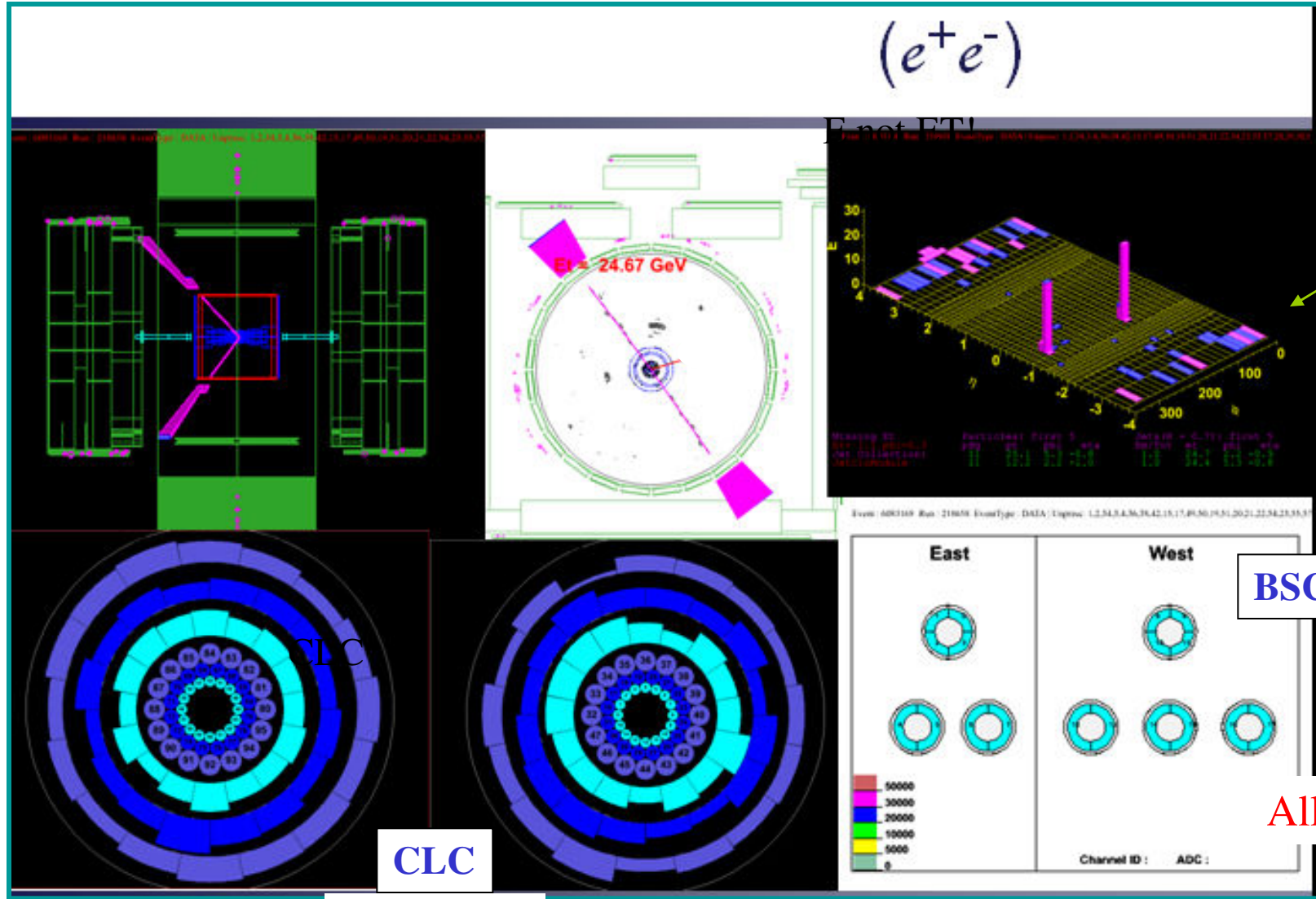
With 2.20(2.03)  $\text{fb}^{-1}$  in the electron(muon) channels:

	$\gamma\gamma \rightarrow \ell\ell$ [ $M_{\ell\ell} > 40$ GeV]	$Z \rightarrow \ell\ell$ 82 < M < 98 GeV
Inclusive	317,712	183,332
<b>Exclusive</b>	<b>8</b>	<b>0</b>

Measure  $\sigma$  ( $pp \rightarrow p\ell\ell p$ )

Place upper limit on  $\sigma(Z_{\text{excl}})$

$M(ee) = 49.3 \text{ GeV}/c^2 \quad |\Delta\phi - \pi| = 6 \text{ mrad} = 0.34 \text{ deg}, \text{ pT}(ee) = 210 \text{ MeV}$



All empty!

All empty!

Mass reach at Tevatron ~ HERA, LEP !

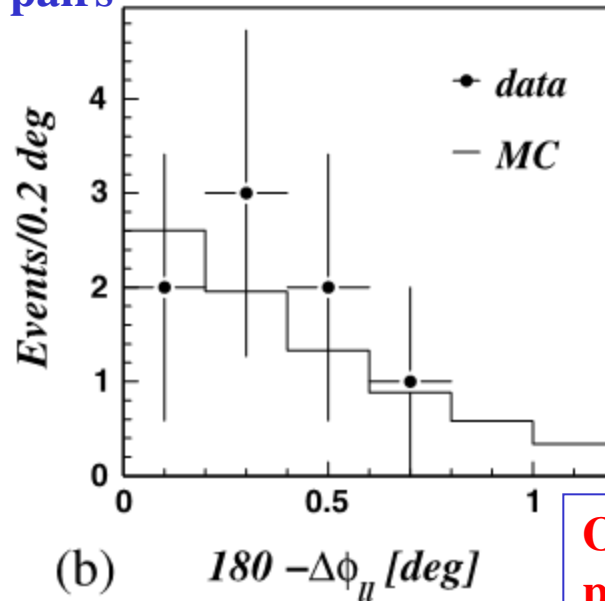
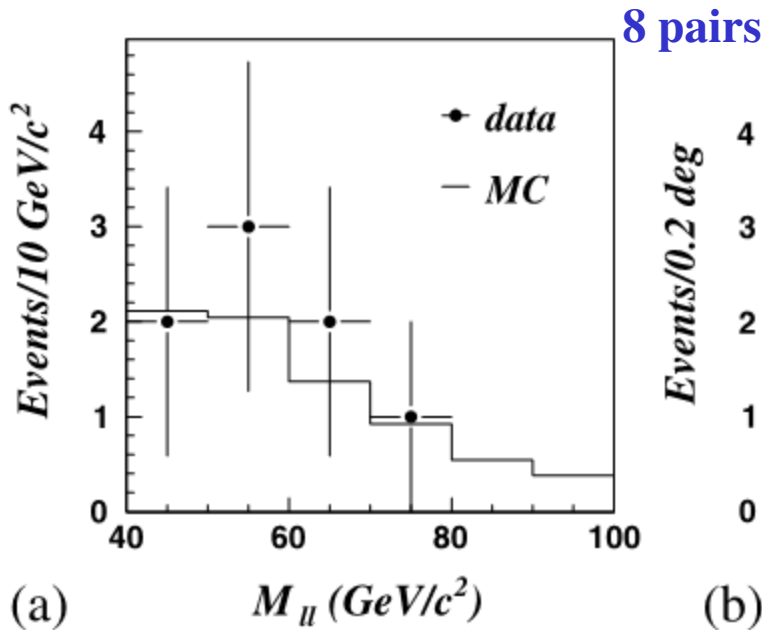
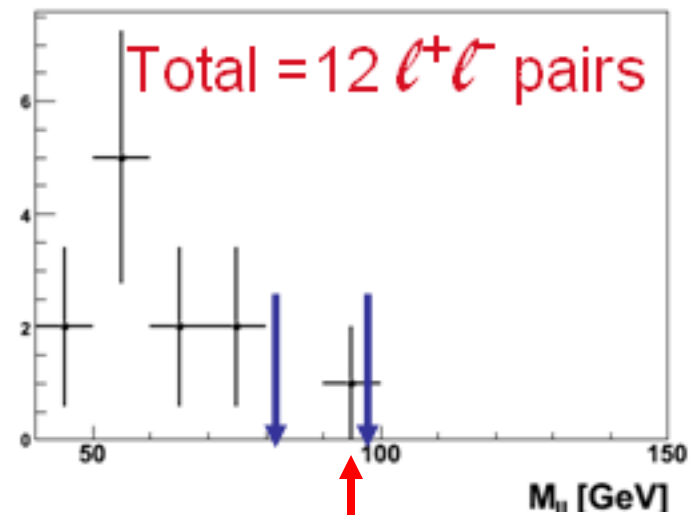
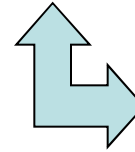
Before requiring BSC empty (no dissociation):

$$\sigma(p + \bar{p} \rightarrow p + e^+ e^- + \bar{p}) \text{ or } \mu\mu$$

$$M > 40 \text{ GeV}/c^2, |\eta| < 4$$

$$= 0.24^{+0.13}_{-0.10} \text{ pb}$$

$$\text{cf QED}_{(\text{LPAIR})} = 0.256 \text{ pb}$$



Likely a Z, but not exclusive; dissociation?  
 $p_T, \Delta\phi - \pi$   
 not  $\sim$  QED

One event has a Roman pot pbar track, others had pbar out of acceptance or Roman pots off.

Agrees with LPAIR/QED in shape as well as normalization.  
 All pairs back-to-back in  $\emptyset$  within 0.8 degrees!

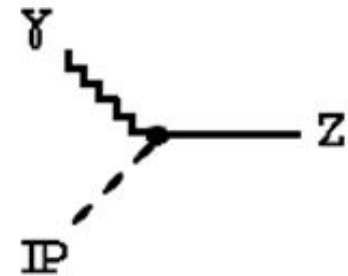
# Results : exclusive Z limit

Combining the  $\mu\mu$  and  $ee$  decay channels:

- 0 candidates
- $0.66 \pm 0.11$  background **Mainly from W**
- $\alpha \times \text{BR}(\ell\ell) \times \mathcal{L}_{\text{eff}} = 3.22 \pm 0.38 \text{ pb}^{-1}$

$$\sigma(Z_{\text{excl}}) < 0.96 \text{ pb @ 95\% C.L.}$$

**(960 fb)**



**COOL!**

**Predictions: Standard Model:**

Motyka and Watt, PRD 78, 014023 (2008) :  $\sigma(Z, \text{excl}) = 0.3 \text{ fb}$

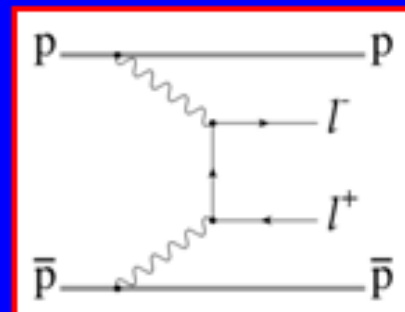
Goncalves and Machado, Eur.Phys.J. C 56, 33 (2008) :  $\sigma(Z, \text{excl}) = 0.21 \text{ fb}$

**Beyond Standard Model (Color sextet quarks):**

A.R.White, PRD 72, 036007 (2005): “much bigger” at LHC!

## All our dilepton measurements agree with QED: So what?

- 1) It shows we know how to select rare exclusive events in hadron-hadron environment
- 2) No other h-h cross section is so well known theoretically except Coulomb elastic.



Possibly excellent Luminosity calibration at LHC e.g.

- 3) Outgoing p-momenta extremely well-known (limited by beam spread). Calibrate forward proton spectrometers.
- 4) Practice for other  $\gamma\gamma$  collisions at LHC:

$$\gamma\gamma \rightarrow W^+W^-, \tilde{l}^+\tilde{l}^-, \dots$$

Luminosity calibration at LHC



4400 events in  $500 \text{ pb}^{-1}$  with  
 $M(\mu^+\mu^-) > 10 \text{ GeV}$  and  $|\eta| < 2$



$$\sigma(p\bar{p} \rightarrow p + \mu^+ \mu^- + \bar{p})_{\text{QED}}$$

vs.  $M(\text{min})$  for different  $|\eta|(\text{max})$

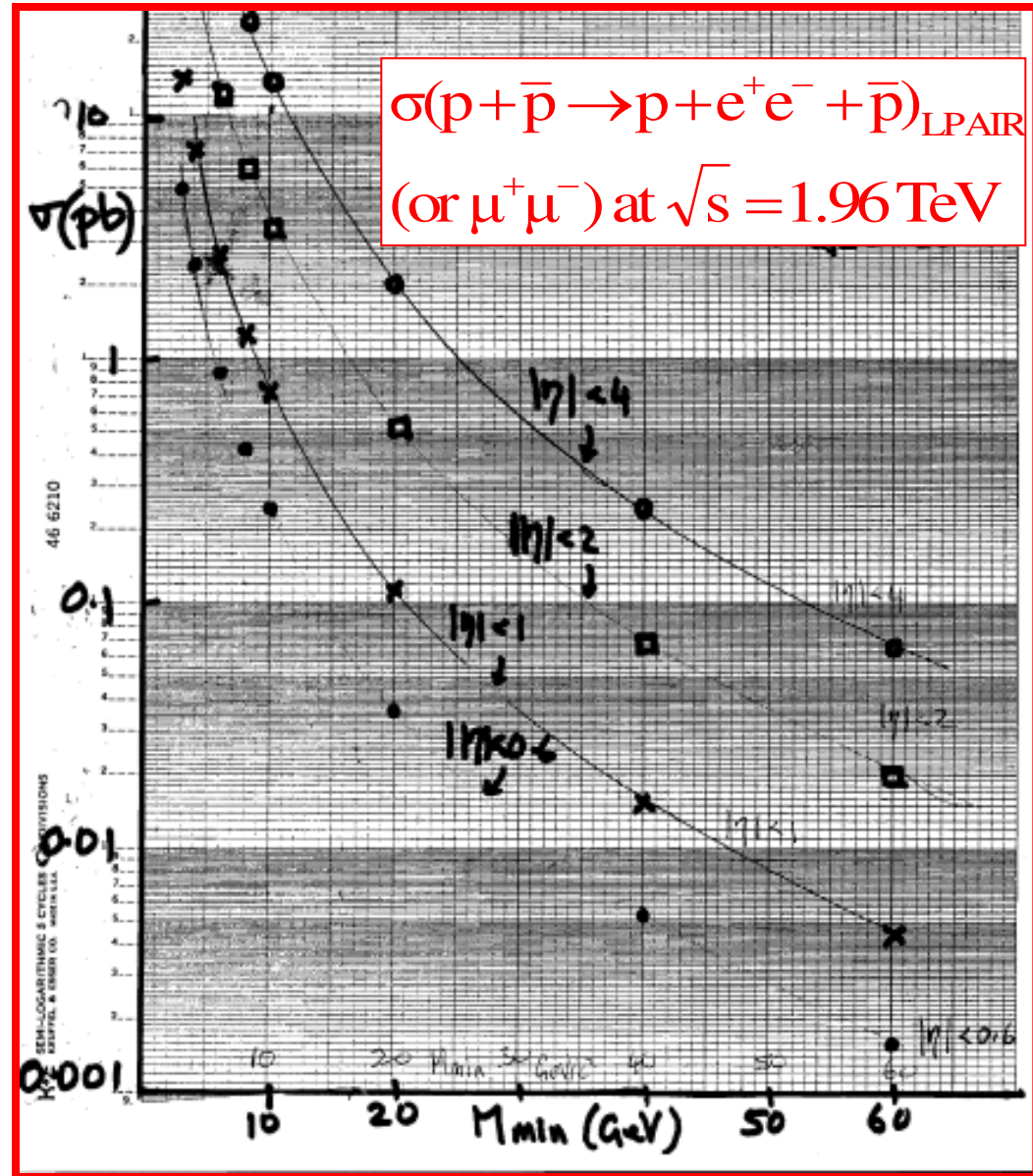
at  $\sqrt{s} = 1.96 \text{ TeV}$ , LPAIR

Can “read off” cross section  
For any  $M_{\text{min}}$  or  
 $M$ -range, and  $\eta(\text{max})$ .

Purely empirical fit (Tevatron)  
(no physics, just convenient):

$$\sigma_{\mu\mu} [M_{\text{min}} (\text{GeV}), |\eta_{\text{max}}|] \approx \frac{245 \text{ pb}}{(1 + 0.008 \times M_{\text{min}})} \times \frac{|\eta_{\text{max}}|^{2.15}}{M_{\text{min}}^{2.5}}$$

Good to few % 4 GeV – 30 GeV  
Similar plot for LHC



$$p + \bar{p} \rightarrow p + \mu^+ \mu^- + \bar{p}$$

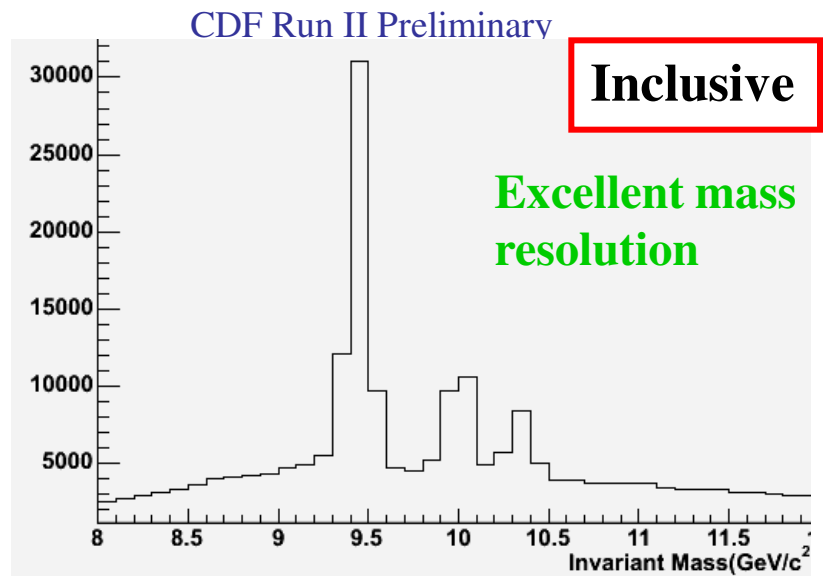
$$M \sim 8 \text{ GeV} - 40 \text{ GeV}$$

**Search for/measurement of photoproduction of Y(1S), Y(2S), Y(3S) (not before seen in hadron-hadron)**

$$\frac{d\sigma}{dy}(y=0)Y(1S) \sim (12 \pm 3) \text{ pb}$$

(Spread in predictions)

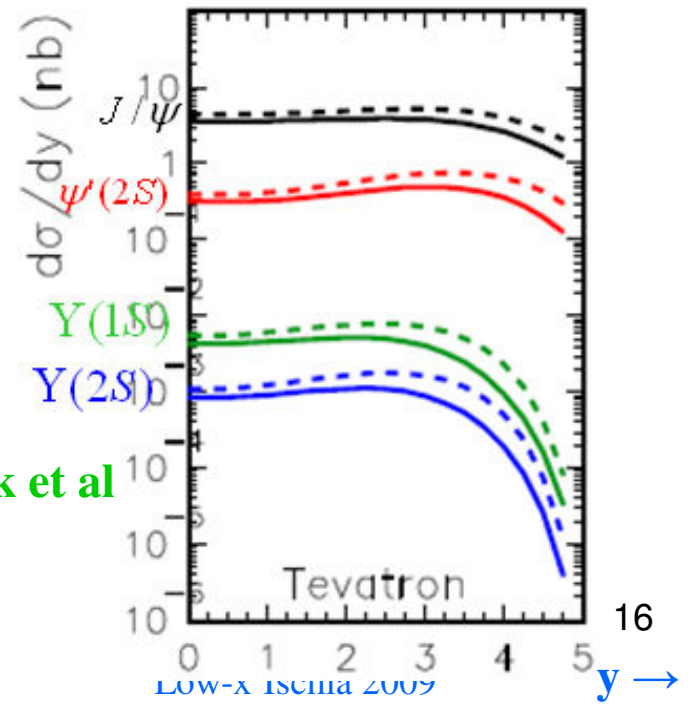
$$\frac{d\sigma}{dy}(y=0)J/\psi = (3.92 \pm 0.25 \pm 0.52) \text{ nb (CDF)}$$



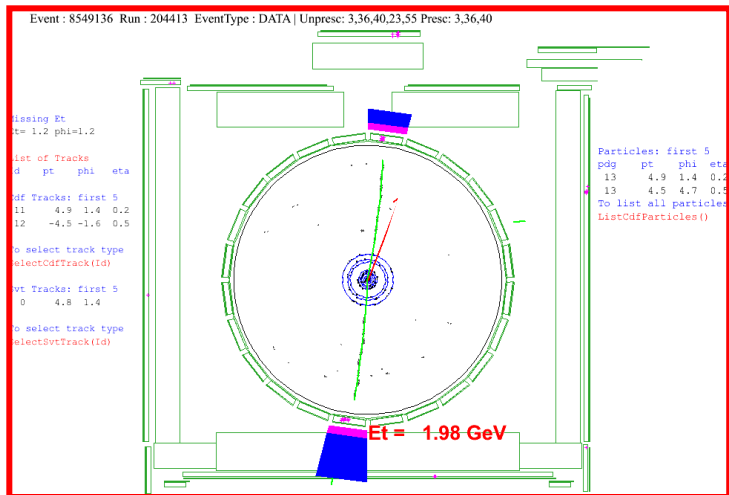
$$\frac{d\sigma}{dy}(y=0)Y(1S) \sim \frac{1}{300-800} \frac{d\sigma}{dy}(y=0)J/\psi$$

**Unlike J/ψ, need to allow pile-up.**  
**Handles: N(ass) = 0, pT(μ+μ-) ~ 0, π-Δφ ~ 0**

e.g. A.Szurek et al

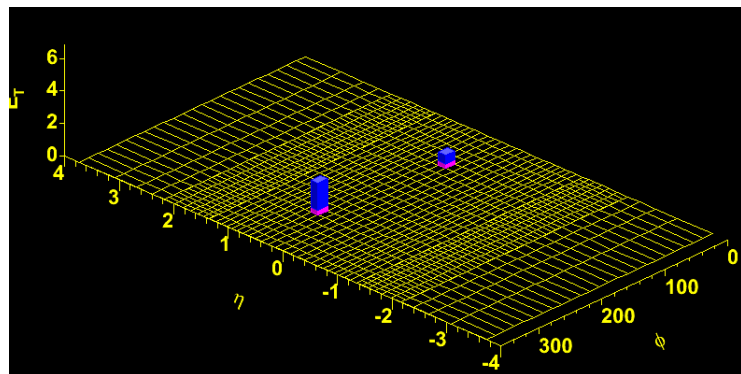




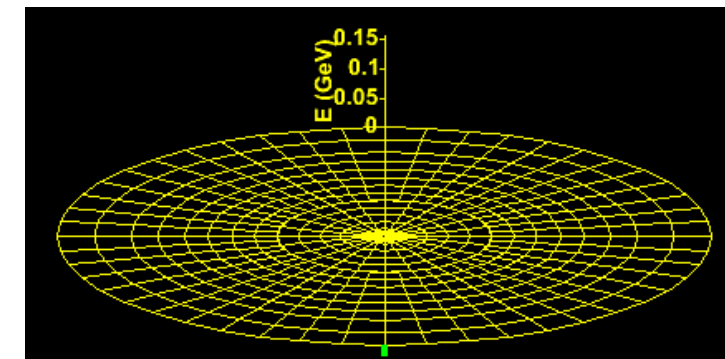
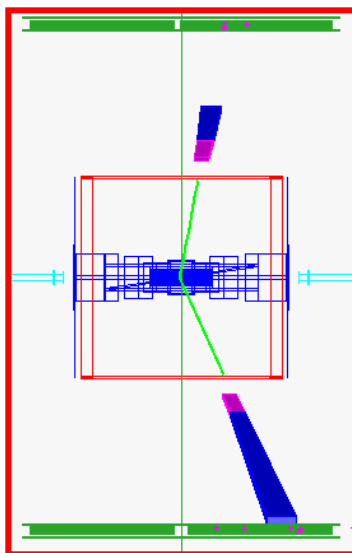


## M ~ 9.4 GeV

We have candidates, but will have few without pile-up (< 10% at present L)



## R-z, Muon hits



**Exclusive  $\chi_b$  production is important (better than  $\chi_c$ )  
but probably impossible with pile-up. But will not get  
a good Y cross section without knowing  $\chi_b$  !**

$$\chi_b \rightarrow Y + \gamma < 6\% \text{ (PDG)}$$

Use so far:

Run 2 Periods 1-17

$L = 2.36 / \text{fb}$

Will add +50% later

Branching ratios for  $\mu+\mu-$  channels:

Y(1s)[ 9.46 GeV] : 2.5%

Y(2s)[10.02 GeV] : 1.3%

Y(3s)[10.36 GeV] : 1.8%

**Trigger:  $\mu+\mu-$   $|\eta| < 0.6$  ,  $p_T(\mu) > 4 \text{ GeV}/c$**

Require two quality muons  $|\eta| < 0.6$ ,  $p_T > 4 \text{ GeV}/c$ ,  $\Delta z < 2 \text{ mm}$ ,  $z_0 < 60 \text{ cm}$ . :  
Then ~ 500K events

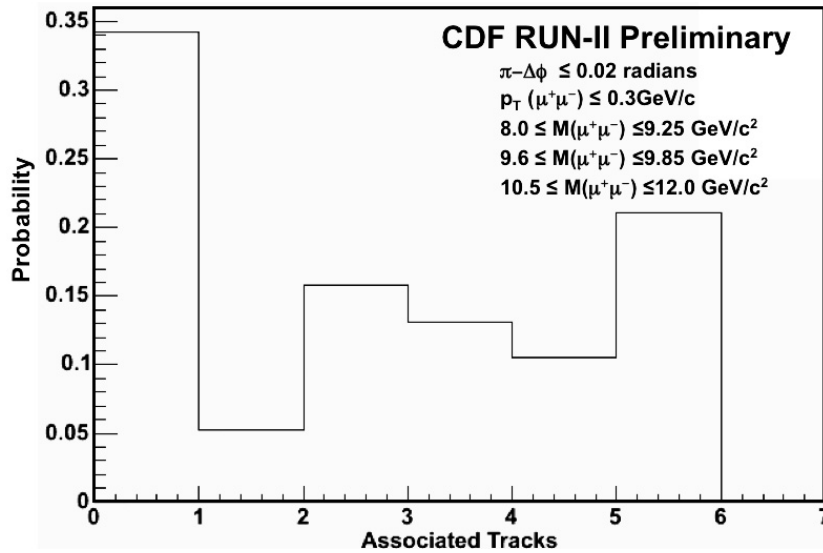
**Then home in:**

**$N(\text{ass}) < 6$ ,  $p_T < 2 \text{ GeV}/c$ ,  $(\pi-\Delta\phi) < 0.2$  (“big box”) and study distributions**

**Generate MC QED events (LPAIR) and Y photoproduction (STARLIGHT) + CDFSIM**

**Make smaller “boxes” in  $p_T$ ,  $(\pi-\Delta\phi)$  to enhance S:B even with reduced efficiency**

# Number (0-5) of associated (additional) tracks on dimuon vertex



QED regions:

Low mass 8 – 12 GeV excluding Y's

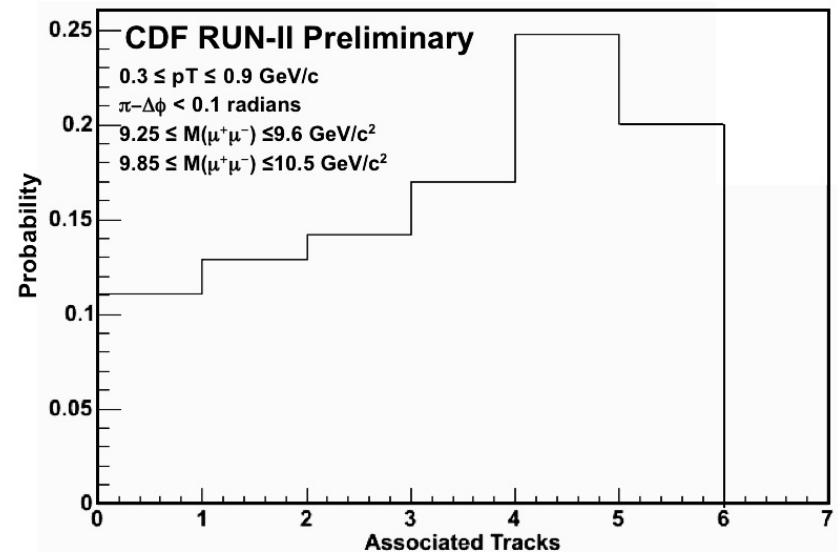
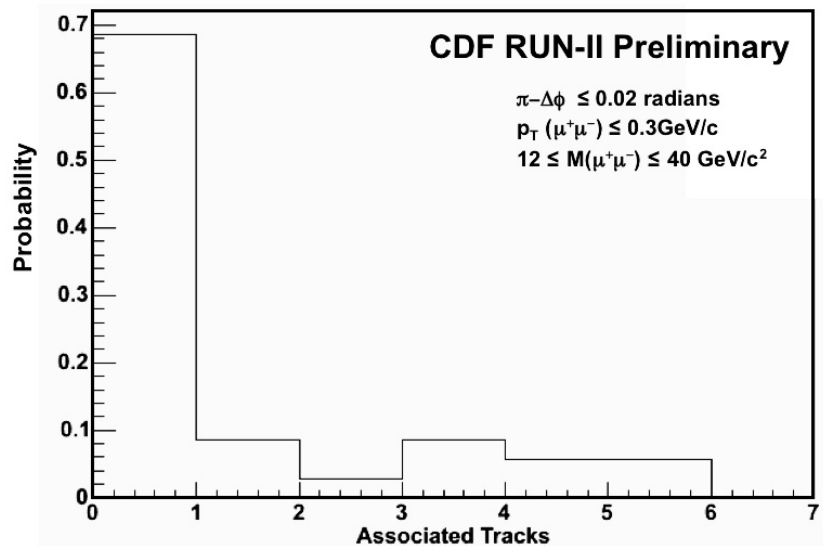
High mass 12 – 40 GeV

$\pi - \Delta\phi < 0.02$   
 $p_T < 0.3 \text{ GeV}/c$   
 (QED favored cuts)

$\pi - \Delta\phi < 0.1$   
 $0.3 < p_T < 0.8 \text{ GeV}/c$   
 (Y favored)

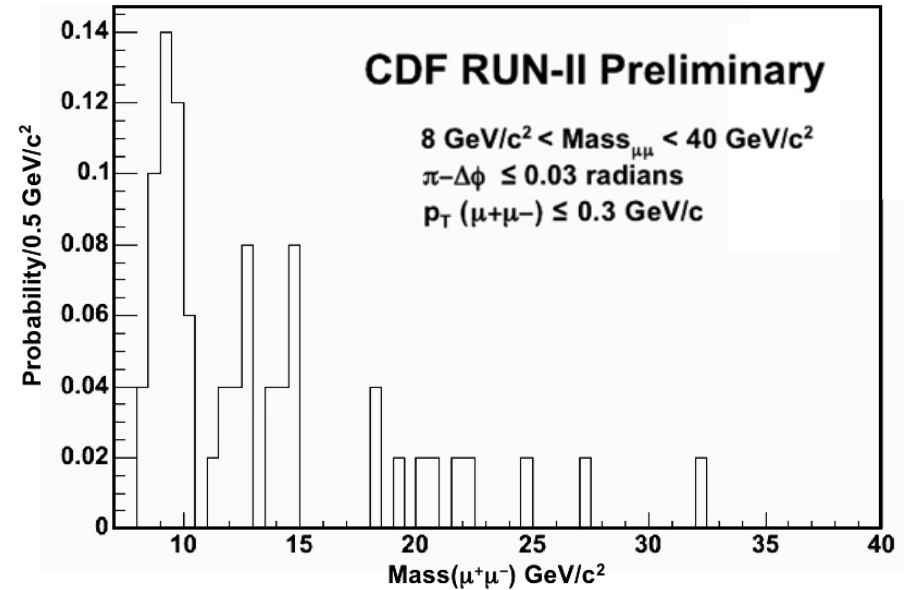
Y mass region:

9.25 – 9.6, 9.85 – 10.5 GeV

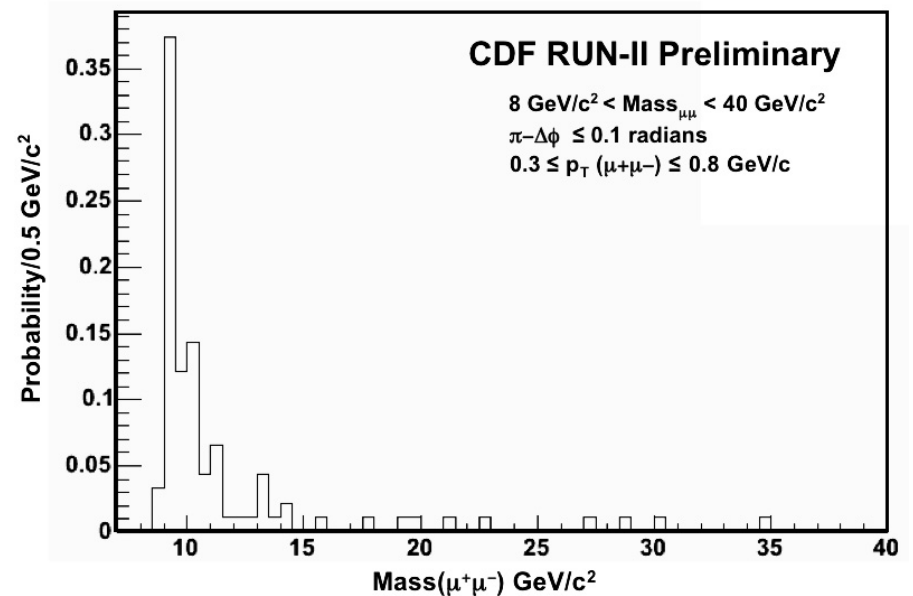


# Mass spectra (8 – 40 GeV), $N(\text{ass}) = 0$ and $(\pi-\Delta\phi)$ , $p_T$ cuts

QED favoured cuts



Y favoured cuts  
(non-overlapping)



## Next steps:

**Finish acceptance x efficiency  $\rightarrow$  QED cross section (Good?)**

**+ other triggers +  $\sim 2$  x more data**

**Y cross section or upper limit (large non-exclusive B/G)**

**Select no-pile-up events, allowing EM showers.**

**Any  $\chi c \rightarrow Y + \gamma$  candidates? Cross section x BR or limit**

**Parallel analysis on e+e- (Erik Brucken, Risto Orava, MA) No-PU**

**Any Y signal? Compare results**

**Especially look for more exclusive  $\gamma \gamma$  events**

# Summary

Programme in CDF to measure central exclusive processes

- a) As interesting QCD physics in its own right  
but especially in a Tev-4-LHC spirit and to understand FP420/240 issues
- b) Measurements to demonstrate that  $p + H + p$  must happen (if H exists)
- c) Measurements to demonstrate that  $\gamma\gamma \rightarrow ee, \mu\mu$  can be used in a hadron-hadron collider to calibrate forward spectrometers

**I covered:**

$$\gamma\gamma \rightarrow e^+e^-, \mu^+\mu^-$$

$$\gamma + IP \rightarrow Y(1S), Y(2S), Y(3S), Z(?)$$

$$IP + IP \rightarrow \gamma\gamma$$

} **More to come!**

**Jim Pinfeld covered:**

$$\gamma\gamma \rightarrow \mu^+\mu^-$$

$$\gamma + IP \rightarrow J/\psi, \psi(2S)$$

$$IP + IP \rightarrow \chi_c$$

← **our star reaction!**

**Thank You**

**Back-ups**

$\chi_b$  states are very poorly known!

$\chi_{b0}(1P)$  [*f*]

$I^G(J^{PC}) = 0^+(0^{++})$   
*J* needs confirmation.

Mass  $m = 9859.44 \pm 0.42 \pm 0.31$  MeV

$\chi_{b0}(1P)$ DECAY MODES	Fraction ( $\Gamma_i/\Gamma$ )	Confidence level	$\rho$ (MeV/c)
$\gamma \Upsilon(1S)$	< 6 %	90%	391
$D^0 X$	< 10.4 %	90%	—
$\pi^+ \pi^- K^+ K^- \pi^0$	< 1.6 $\times 10^{-4}$	90%	4875
$2\pi^+ \pi^- K^- K_S^0$	< 5 $\times 10^{-5}$	90%	4875
$2\pi^+ \pi^- K^- K_S^0 2\pi^0$	< 5 $\times 10^{-4}$	90%	4846
$2\pi^+ 2\pi^- 2\pi^0$	< 2.1 $\times 10^{-4}$	90%	4905
$2\pi^+ 2\pi^- K^+ K^-$	( $1.1 \pm 0.6$ ) $\times 10^{-4}$		4861
$2\pi^+ 2\pi^- K^+ K^- \pi^0$	< 2.7 $\times 10^{-4}$	90%	4846
$2\pi^+ 2\pi^- K^+ K^- 2\pi^0$	< 5 $\times 10^{-4}$	90%	4828
$3\pi^+ 2\pi^- K^- K_S^0 \pi^0$	< 1.6 $\times 10^{-4}$	90%	4827
$3\pi^+ 3\pi^-$	< 8 $\times 10^{-5}$	90%	4904
$3\pi^+ 3\pi^- 2\pi^0$	< 6 $\times 10^{-4}$	90%	4881
$3\pi^+ 3\pi^- K^+ K^-$	( $2.4 \pm 1.2$ ) $\times 10^{-4}$		4827
$3\pi^+ 3\pi^- K^+ K^- \pi^0$	< 1.0 $\times 10^{-3}$	90%	4808
$4\pi^+ 4\pi^-$	< 8 $\times 10^{-5}$	90%	4880
$4\pi^+ 4\pi^- 2\pi^0$	< 2.1 $\times 10^{-3}$	90%	4850



# Complex spectrum of radiative decays to $Y(1), Y(2)$ :

Here just give DPE allowed states  
( $J=0 \gg J=2$ )

$d\sigma/dy(\text{KMRS, TeV}) = 200 \text{ pb}$

If BR = 4% (?) that's 8 pb  $\rightarrow \gamma + Y1$

Cf  $\sim 10 \text{ pb}$  for  $ds/dy(Y1)$

$d\sigma/dy(\text{KMRS, LHC}) = 600 \text{ pb}$

If BR = 4% (?) that's 24 pb  $\rightarrow \gamma + Y1$

cf  $\sim 30 \text{ pb}$  for  $ds/dy(Y1)$

$\chi_b \quad \Gamma^{GJP^C} = 0^1 0^1 \text{ and } 0^1 2^1 \text{ states :}$

$\chi_{b0}(9859) J=0: \rightarrow \gamma Y(1S) < 6\% (\sim 3.5\%?)$ ;  $p_\gamma = 391 \text{ MeV}$

$\chi_{b2}(9912) J=2: \rightarrow \gamma Y(1S) = (22 \pm 4)\%$ ;  $p_\gamma = 442 \text{ MeV}$

$\chi_{b0}(10232) J=0: \rightarrow \gamma Y(2S) = (4.6 \pm 2.1)\%$ ;  $p_\gamma = 207 \text{ MeV}$

$\chi_{b0}(10232) J=0: \rightarrow \gamma Y(1S) = (0.9 \pm 0.6)\%$ ;  $p_\gamma = 743 \text{ MeV}$

$\chi_{b2}(10269) J=2: \rightarrow \gamma Y(2S) = (16.2 \pm 2.4)\%$ ;  $p_\gamma = 242 \text{ MeV}$

$\chi_{b2}(10269) J=2: \rightarrow \gamma Y(1S) = (7.1 \pm 1.0)\%$ ;  $p_\gamma = 777 \text{ MeV}$

$\rightarrow$  Will not get good  $Y$  cross sections  
without knowing  $\chi_b$ , and p-calibration is screwed up.  
“Soft” photons important. Use QED exclusive pairs