Towards Decoding the Nature of Dark Matter at the LHC

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Collaborators & Projects

- L. Panizzi, A. Pukhov, M.Thomas, AB arXiv:**1610.07545**
- D. Barducci, A.Bharucha, W. Porod, V. Sanz, AB arXiv:**1504.02472**
- G. Cacciapaglia, I. Ivanov, F. Rojas, M. Thomas, AB arXiv:1612.00511
- S.Novaes, M. Gregores, P.Mercadante, S. Quazi, S. Moon, S.Santos, T.Tomei, S. Moretti, M.Tomas, L. Panizzi, AB (pheno-exp/CMS) – follow up arXiv:1612.00511
- M.Brede, D. Locke, L.Panizzi, M.Thomas, AB follow up 1610.07545
- E.Bertuzzo, C.Caniu, O.Eboli, G. di Cortona, AB follow up1610.07545
- T. Flacke, B. Jain, P. Schaefers, AB DM from Z' and Top partners, arXiv:1707.07000
- I. Shapiro, M. Thomas, AB Torsion DM, arXiv:**1611.03651**
- I. Ginzburg, D.Locke, A. Freegard, T. Hosken, AB distinguishing DM spin at the ILC



The the Standard Model is very successful at the LHC





But at a bigger scale SM is empirically incomplete!

 the presence of non-baryonic, cold dark matter: DM is neutral, stable, colourless, non-baryonic and massive (cold or warm).
 Neutrinos are too light, make instead hot DM





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While Higgs Boson Discovery has completed the SM puzzle ...



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Decoding DM at the LHC

While Higgs Boson Discovery has completed the SM puzzle ... the SM itself can be viewed itself as a piece of a bigger puzzle – the BSM one !





Why we are so keen to study DM?





Why we are so keen to study DM?











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Decoding DM at the LHC















Efficient scattering off nuclei: DM Direct Detection (DD)

Signature from energy deposition from nuclei recoil: LUX, XENON, WARP,





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Efficient scattering off nuclei: DM Direct Detection (DD)

Signature from energy deposition from nuclei recoil: LUX, XENON, WARP,

Note: there is no 100%correlation between signatures above. For example, the high rate of annihilation does not always guarantee high rate for DD! **Actually there is a great complementarity in this:**

- In case of NO DM Signal we can efficiently exclude DM models
- In case of DM signal we can efficiently determine the nature of DM



Hunting for DM at Colliders





Hunting for DM at Colliders





Hunting for DM at Colliders





Can we test DM properties at the LHC?

- From LHC DM forum (arXiv:1507.00966):
 - "Different spins of Dark Matter particles will typically give similar results..... Thus the choice of Dirac fermion Dark Matter should be sufficient as benchmarks for the upcoming Run-2 searches."
- Let us check the effects of DM spin on Missing transverse momentum (MET) distributions at the LHC:
 - Iet us start with EFT approach first the simplest modelindependent approach:
 - Complete set of DIM5/DIM6 operators involving two SM quarks (gluons) and two DM particles
 - consider spin=0, 1/2, 1 DM
 - mono-jet signature
 - explore LHC discovery potential for scenarios with different DM spins and potential to distinguish these scenarios



Mono-jet diagrams from EFT operators







DIM5/6 operators (spin 0,1/2,1)

Complex scalar D	M†
$rac{ ilde{m}}{\Lambda^2}\phi^{\dagger}\phiar{q}q$	[<i>C</i> 1]*
$\frac{\bar{m}}{\Lambda^2}\phi^{\dagger}\phi\bar{q}i\gamma^5q$	$[C2]^*$
$\frac{1}{\Lambda^2} \phi^{\dagger} i \overline{\partial_{\mu}} \phi \overline{q} \gamma^{\mu} q$	[<i>C</i> 3]
$rac{1}{\Lambda^2}\phi^\dagger i\overleftrightarrow{\partial_\mu}\phi \bar q \gamma^\mu \gamma^5 q$	[C4]
$\frac{1}{\Lambda^2} \phi^{\dagger} \phi G^{\mu\nu} G_{\mu\nu}$	[C5]*
$rac{1}{\Lambda^2} \phi^\dagger \phi ilde{G}^{\mu u} G_{\mu u}$	[<i>C</i> 6]*
Dirac fermion D)M [†]
$\frac{1}{\Lambda^2} \bar{\chi} \chi \bar{q} q$	[D1]*
$\frac{\frac{1}{\Lambda^2}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^2}\bar{\chi}i\gamma^5\chi\bar{q}q}$	[D1]* [D2]*
$\frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q}$ $\frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q}$	[D1]* [D2]* [D3]*
$ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q} \\ \frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{5}\chi\bar{q}\gamma^{5}q $	[D1]* [D2]* [D3]* [D4]*
$ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{5}\chi\bar{q}\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}q} $	[D1]* [D2]* [D3]* [D4]* [D5]
$ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q} $ $ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{5}\chi\bar{q}\gamma^{5}q} $ $ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}q} $	[D1]* [D2]* [D3]* [D4]* [D5] [D6]
$ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{5}\chi\bar{q}\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}\gamma^{5}q} $	[D1]* [D2]* [D3]* [D4]* [D5] [D6] [D7]
$ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{5}\chi\bar{q}\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}\gamma^{5}q} $	[D1]* [D2]* [D3]* [D4]* [D5] [D6] [D7] [D8]
$ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}i\gamma^{5}\chi\bar{q}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\chi\bar{q}i\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{5}\chi\bar{q}\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi\bar{q}\gamma_{\mu}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\chi^{5}\chi\bar{q}\gamma_{\mu}\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}\gamma^{5}q}{\frac{1}{\Lambda^{2}}\bar{\chi}\gamma^{\mu}\gamma^{5}\chi\bar{q}\gamma_{\mu}\gamma^{5}q} \\ \frac{\frac{1}{\Lambda^{2}}\bar{\chi}\sigma^{\mu\nu}\chi\bar{q}\sigma_{\mu\nu}q $	[D1]* [D2]* [D3]* [D4]* [D5] [D6] [D7] [D8] [D9]*

Complex vector DM [‡]	
$\frac{\tilde{m}}{\Lambda^2} V^{\dagger}_{\mu} V^{\mu} \bar{q} q$	[V1]*
$\frac{1}{\sqrt{2}} V^{\dagger}_{\mu} V^{\mu} \bar{q} i \gamma^5 q$	[V2]*
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial_{\mu} V^{\nu} - V^{\nu} \partial_{\mu} V^{\dagger}_{\nu}) \bar{q} \gamma^{\mu} q$	[V3]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu}\partial_{\mu}V^{\nu} - V^{\nu}\partial_{\mu}V^{\dagger}_{\nu})\bar{q}i\gamma^{\mu}\gamma^5 q$	[V4]
$\frac{\tilde{m}}{\Lambda^2} V^{\dagger}_{\mu} V_{\nu} \bar{q} i \sigma^{\mu\nu} q$	[V5]
$\frac{\tilde{m}}{\Lambda^2} V^{\dagger}_{\mu} V_{\nu} \bar{q} \sigma^{\mu\nu} \gamma^5 q$	[V6]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} + V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} \gamma^{\mu} q$	[V7P]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} - V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} i \gamma^{\mu} q$	[V7M]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} + V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} \gamma^{\mu} \gamma^5 q$	[V8P]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} - V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} i \gamma^{\mu} \gamma^5 q$	[V8M]
$\frac{1}{2\Lambda^2} \epsilon^{\mu\nu\rho\sigma} (V^{\dagger}_{\nu}\partial_{\rho}V_{\sigma} + V^{\dagger}_{\nu}\partial_{\rho}V^{\dagger}_{\sigma}) \bar{q}\gamma_{\mu}q$	[V9P]
$\frac{1}{2\Lambda^2} \epsilon^{\mu\nu\rho\sigma} (V^{\dagger}_{\nu}\partial^{\nu}V_{\mu} - V^{\nu}\partial^{\nu}V^{\dagger}_{\mu}) \bar{q} i\gamma_{\mu}q$	[V9M]
$\frac{1}{2\Lambda^2} \epsilon^{\mu\nu\rho\sigma} (V_{\nu}^{\dagger} \partial_{\rho} V_{\sigma} + V_{\nu} \partial_{\rho} V_{\sigma}^{\dagger}) \bar{q} \gamma_{\mu} \gamma^5 q$	[V10P]
$\frac{1}{2\Lambda^2} \epsilon^{\mu\nu\rho\sigma} (V^{\dagger}_{\nu}\partial^{\nu}V_{\mu} - V^{\nu}\partial^{\nu}V^{\dagger}_{\mu})\bar{q}i\gamma_{\mu}\gamma^5 q$	[V10M]
$\frac{1}{\Lambda^2} V^{\dagger}_{\mu} V^{\mu} G^{\rho\sigma} G_{\rho\sigma}$	[V11]*
$rac{1}{\Lambda^2} V^{\dagger}_{\mu} V^{\mu} \tilde{G}^{ ho\sigma} G_{ ho\sigma}$	[V12]*

* operators applicable to real DM fields, modulo a factor 1/2

[†]Listed in J. Goodman *et al.*, *Constraints on Dark Matter from Colliders*, Phys.Rev. **D82** (2010) 116010, [arXiv:1008.1783]

[‡] All but V11 and V12 listed in Kumar *et al.*, *Vector dark matter at the LHC*, Phys. Rev. **D92** (2015) 095027, [arXiv:1508.04466]



Decoding DM at the LHC

DIM5/6 operators (spin 0,1/2,1)

Complex scalar D	0M [†]	
$\frac{\tilde{m}}{\sqrt{2}}\phi^{\dagger}\phi\bar{q}q$	[<i>C</i> 1]*	
$\frac{1}{M} \frac{m}{\Lambda^2} \phi^{\dagger} \phi \bar{q} i \gamma^5 q$	$[C2]^*$	
$\frac{1}{\Lambda^2}\phi^{\dagger}i\overleftarrow{\partial_{\mu}}\phi\bar{q}\gamma^{\mu}q$	[<i>C</i> 3]	
$\frac{1}{\Lambda^2}\phi^{\dagger}i\overleftrightarrow{\partial_{\mu}}\phi\bar{q}\gamma^{\mu}\gamma^5q$	[C4]	
$\frac{1}{\Lambda^2} \phi^{\dagger} \phi G^{\mu u} G_{\mu u}$	[C5]*	
$rac{\Lambda}{\Lambda^2} \phi^\dagger \phi ilde{G}^{\mu u} G_{\mu u}$	[<i>C</i> 6]*	
Dirac fermion D)M [†]	
$\frac{1}{\Lambda^2} \bar{\chi} \chi \bar{q} q$	[D1]*	
$\frac{1}{\Lambda^2} \bar{\chi} i \gamma^5 \chi \bar{q} q$	[D2]*	
$\frac{1}{\Lambda^2} \bar{\chi} \chi \bar{q} i \gamma^5 q$	[D3]*	
$\frac{1}{\Lambda^2} \bar{\chi} \gamma^5 \chi \bar{q} \gamma^5 q$	[D4]*	
$\frac{1}{\Lambda^2} \bar{\chi} \gamma^\mu \chi \bar{q} \gamma_\mu q$	[D5]	
$\frac{1}{\Lambda^2} \bar{\chi} \gamma^{\mu} \gamma^5 \chi \bar{q} \gamma_{\mu} q$	[D6]	
$rac{1}{\Lambda^2} ar{\chi} \gamma^\mu \chi ar{q} \gamma_\mu \gamma^5 q$	[D7]	
$rac{1}{\Lambda^2} ar{\chi} \gamma^\mu \gamma^5 \chi ar{q} \gamma_\mu \gamma^5 q$	[D8]	
$\frac{1}{\sqrt{2}} \bar{\chi} \sigma^{\mu\nu} \chi \bar{q} \sigma_{\mu\nu} q$	[D9]*	
$\frac{\frac{\Lambda^2}{\Lambda^2}}{\Lambda^2}\bar{\chi}\sigma^{\mu\nu}i\gamma^5\chi\bar{q}\sigma_{\mu\nu}q$	[D10]*	

Complex vector DM*	
$\frac{\tilde{m}}{\Lambda^2} V^{\dagger}_{\mu} V^{\mu} \bar{q} q$	[V1]*
$\frac{1}{m} \frac{1}{m} V^{\dagger}_{\mu} V^{\mu} \bar{q} i \gamma^5 q$	[V2]*
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial_{\mu} V^{\nu} - V^{\nu} \partial_{\mu} V^{\dagger}_{\nu}) \bar{q} \gamma^{\mu} q$	[V3]
$\frac{2\Lambda}{2\Lambda^2} (V^{\dagger}_{\nu}\partial_{\mu}V^{\nu} - V^{\nu}\partial_{\mu}V^{\dagger}_{\nu}) \bar{q}i\gamma^{\mu}\gamma^5 q$	[V4]
$\frac{2\tilde{m}}{\Lambda^2}V^{\dagger}_{\mu}V_{\nu}\bar{q}i\sigma^{\mu\nu}q$	[V5]
$\frac{1}{m} \frac{1}{\Lambda^2} V^{\dagger}_{\mu} V_{\nu} \bar{q} \sigma^{\mu\nu} \gamma^5 q$	[V6]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} + V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} \gamma^{\mu} q$	[V7P]
$\frac{2\Lambda}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} - V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} i \gamma^{\mu} q$	[V7M]
$\frac{\frac{2\Lambda}{2\Lambda^2}}{2\Lambda^2} (V_{\nu}^{\dagger} \partial^{\nu} V_{\mu} + V^{\nu} \partial^{\nu} V_{\mu}^{\dagger}) \bar{q} \gamma^{\mu} \gamma^5 q$	[V8P]
$\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} - V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} i \gamma^{\mu} \gamma^5 q$	[V8M]
$\frac{1}{2\Lambda^2} \epsilon^{\mu\nu\rho\sigma} (V^{\dagger}_{\nu}\partial_{\rho}V_{\sigma} + V_{\nu}\partial_{\rho}V^{\dagger}_{\sigma})\bar{q}\gamma_{\mu}q$	[V9P]
$\frac{\frac{2\Lambda}{2\Lambda^2}}{2\Lambda^2}\epsilon^{\mu\nu\rho\sigma}(V^{\dagger}_{\nu}\partial^{\nu}V_{\mu} - V^{\nu}\partial^{\nu}V^{\dagger}_{\mu})\bar{q}i\gamma_{\mu}q$	[V9M]
$\frac{\frac{2\Lambda}{2\Lambda^2}}{2\Lambda^2}\epsilon^{\mu\nu\rho\sigma}(V^{\dagger}_{\nu}\partial_{\rho}V_{\sigma}+V_{\nu}\partial_{\rho}V^{\dagger}_{\sigma})\bar{q}\gamma_{\mu}\gamma^5 q$	[V10P]
$\frac{\frac{2\Lambda}{2\Lambda^2}}{2\Lambda^2}\epsilon^{\mu\nu\rho\sigma}(V^{\dagger}_{\nu}\partial^{\nu}V_{\mu} - V^{\nu}\partial^{\nu}V^{\dagger}_{\mu})\bar{q}i\gamma_{\mu}\gamma^5q$	[V10M]
$\frac{1}{\Lambda^2} V^{\dagger}_{\mu} V^{\mu} G^{\rho\sigma} G_{\rho\sigma}$	[V11]*
$rac{1}{\Lambda^2} V^{\dagger}_{\mu} V^{\mu} \tilde{G}^{ ho\sigma} G_{ ho\sigma}$	[V12]*
$\frac{1}{\Lambda^2} \bar{\chi} q \bar{q} \chi$ [D1T] additional	,
$\frac{i}{2\Lambda^2}(\bar{\chi}\gamma^5 q\bar{q}\chi + \bar{\chi}q\bar{q}\gamma^5\chi) \qquad [D2T] not-independent$, endent
$\frac{1}{2\Lambda^2} (\bar{\chi}\gamma^5 q\bar{q}\chi - \bar{\chi}q\bar{q}\gamma^5\chi) \qquad [D3T] \text{ operators}$	can be written
$\frac{1}{\Lambda^2}\chi\gamma^5 q\bar{q}\gamma^5\chi$ [D4T]	

D14⁺

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Decoding DM at the LHC

Mapping EFT operators to simplified models





Parametrisation of the Vector DM operators

- The cross section for $qq(gg) \rightarrow DM DM$ process with a power of the energy asymptotic power, Δ_s takes a form: $\sigma_{2\rightarrow 2} \propto \frac{1}{\Lambda^2} \times \left(\frac{E}{\Lambda}\right)^{\Delta_{\sigma}}$
- On the other hand, from EFT operator we have: $\sigma_{2\to 2} \propto \frac{1}{E^2} \times \left(\frac{E^{D-4}}{\Lambda^{D-4}}\right)^2$ where **D** is the actual energy dimension of the EFT operator
- So, one finds: $\Delta_{\sigma} = 2(D-5) \implies D = \Delta_{\sigma}/2 + 5$
 - Note: D can be different from naive dimension d = 5 or 6
 - consider V7P as an example: $\frac{1}{2\Lambda^2} (V^{\dagger}_{\nu} \partial^{\nu} V_{\mu} + V^{\nu} \partial^{\nu} V^{\dagger}_{\mu}) \bar{q} \gamma^{\mu} q$
 - with d=6, however for each (allowed) VDM longitudinal polarisation there is an additional (E/M_{DM}) factor, so the actual energy scaling of VDM EFT operator, D is different!



Relation of the actual dimension (D) and the naive one (d) for VDM operators

V_{DM} Operator	Λ_d	d	Λ_D	D	$\Delta_{\sigma}(\sigma_{2\to 2} \propto E^{\Delta_{\sigma}})$	Amplitude Enhancement
V1,V2,V5,V6	$\frac{1}{\Lambda}$	5	$\frac{M_{DM}^2}{\Lambda^3}$	7	4	$(E/M_{DM})^2$
V3,V4,V7M,V8M,V11,V12	$\frac{1}{\Lambda^2}$	6	$\frac{M_{DM}^2}{\Lambda^4}$	8	6	$(E/M_{DM})^2$
V7P,V8P,V9,V10	$\frac{1}{\Lambda^2}$	6	$\frac{M_{DM}}{\Lambda^3}$	7	4	E/M_{DM}

we suggest a new parametrisation of VDM operators: since the energy E and the collider limit on L are of the same order, it is natural to use an additional M_{DM}/Λ factor for each power of E/M_{DM} enhancement, so collider limits are not artificially enhanced
[~100 TeV !!! for MDM =1 GeV, see Kumar, Marfatia, Yaylali 1508.04466]
and will be of the same order as limits for other operators

• Dictionary between limits on Λ in different parametrisations:

$$\Lambda_D = \left(\Lambda_d^{d-4} M_{DM}^{D-d}\right)^{\frac{1}{D-4}} \text{ and } \Lambda_d = \left(\Lambda^{D-4} M_{DM}^{d-D}\right)^{\frac{1}{d-4}}$$











Properties of MET distributions:

- MET distributions are the same for the fixed mass of DM pair [M(DM,DM)] & fixed SM operator
- With the increase of M(DM,DM), MET slope decreases (PDF effect)









Distinguishing DM operators/theories



- energy dependence of the DM operator $\rightarrow M_{DMDM}$ distributions \rightarrow slopes of MET
- projection for 300 fb⁻¹: some operators C1-C2,C5-C6,D9-D10,V1-V2,V3-V4,V5-V6 and V11-12 can be distinguished from each other
- Application beyond EFT: when the DM mediator is not produced on-the-mass-shell and M_{DMDM} is not fixed: t-channel mediator or mediators with mass below 2M_{DM}



Absolute values of the cross sections provide an additional information to distinguish EFT operators





LHC@13TeV reach at 3.2 fb⁻¹

LanHEP → CalcHEP / Madgraph → LHE → CheckMATE 2 chain





LHC@13TeV reach projected 100 fb⁻¹

LanHEP → CalcHEP / Madgraph → LHE → CheckMATE 2 chain





LHC@13TeV Reach for spin 0 and $\frac{1}{2}$ DM

			Exclude	d Λ (GeV) a	at 3.2 fb^{-1}	Excluded Λ (GeV) at 100 fb ⁻¹			
	Operators	Coefficient		DM Mass	3		DM Mass	3	
			$10~{\rm GeV}$	$100~{\rm GeV}$	$1000~{\rm GeV}$	$10~{\rm GeV}$	$100~{\rm GeV}$	$1000~{\rm GeV}$	
× M	C1 & C2	$1/\Lambda$	456	424	98	1168	1115	267	
aple ar D	C3 & C4	$1/\Lambda^2$	750	746	400	1134	1131	662	
Con Scala	C5 & C6	$1/\Lambda^2$	1621	1576	850	2656	2611	1398	
	D1 & D3	$1/\Lambda^2$	931	940	522	1386	1405	861	
	D2 & D4	$1/\Lambda^2$	952	936	620	1426	1399	1022	
M	D1T & D4T	$1/\Lambda^2$	735	729	476	1217	1199	780	
D U	D2T	$1/\Lambda^2$	637	638	407	1053	1052	670	
rmic	D3T	$1/\Lambda^2$	586	625	391	969	938	644	
ic Fe	D5 & D7	$1/\Lambda^2$	1058	967	721	1580	1591	1190	
Dira	D6 & D8	$1/\Lambda^2$	978	1050	579	1608	1585	955	
	D9 & D10	$1/\Lambda^2$	1587	1592	958	2613	2619	1580	



LHC@13TeV Reach for spin 1 DM

			Exclude	d Λ (GeV) a	at 3.2 fb^{-1}	Excluded Λ (GeV) at 100 $\rm fb^{-1}$			
	Operators	Coefficient		DM Mass	DM Mass				
			$10~{\rm GeV}$	$100 { m GeV}$	$1000~{\rm GeV}$	$10~{\rm GeV}$	$100~{\rm GeV}$	$1000~{\rm GeV}$	
	V1 & V2	M_{DM}^2/Λ_D^3	831	833	714	1162	1161	997	
	V3 & V4	M_{DM}^2/Λ_D^4	930	931	833	1196	1193	1070	
	V5 & V6	M_{DM}^2/Λ_D^3	784	791	711	1095	1104	993	
DM	V7M & V8M	M_{DM}^2/Λ_D^4	930	926	882	1195	1193	1130	
ctor	V7P & V8P	M_{DM}/Λ_D^3	796	791	652	1112	1102	911	
x Ve	V9M & V10M	M_{DM}/Λ_D^3	796	799	737	1109	1114	1027	
uple	V9P & V10P	M_{DM}/Λ_D^3	794	782	609	1110	1089	850	
Con	V11 & V11A	M_{DM}^2/Λ_D^4	1435	1442	1309	1844	1850	1683	



Distinguishing DM operators

energy dependence of the operator $\rightarrow M_{\text{DMDM}}$ shape $\rightarrow \text{MET}$ shape





On the BG uncertainty

• The BG is statistically driven, e.g. pp-> Zj \rightarrow nnj BG is defined from the pp \rightarrow Zj \rightarrow I⁺I⁻j one

CMS-PAS-EXO-16-013

E ^{miss} Range	$Z(\nu\nu)$ +jets	$W(\ell\nu)$ +jets	Z(ℓℓ)+jets	γ +jets	Тор	Diboson	QCD	Total	Total	Data
GeV)					-			(Pre-fit)	(Post-fit)	
200 - 230	14919 ± 221	11976 ± 196	207 ± 13	230 ± 14	564 ± 55	251 ± 41	508 ± 171	27761 ± 1464	28654 ± 171	28601
230 - 260	7974 ± 116	5776 ± 101	92.9 ± 5.7	101 ± 6	267 ± 26	157 ± 26	308 ± 104	14114 ± 757	14675 ± 97	14756
260 - 290	4467 ± 70	2867 ± 50	37.9 ± 2.3	63.7 ± 3.9	116 ± 11	77.3 ± 12.7	38.3 ± 21.0	7193 ± 351	7666 ± 68	7770
290 - 320	2518 ± 46	1520 ± 34	18.4 ± 1.1	29.6 ± 1.8	56.7 ± 5.6	42.9 ± 7.1	29.8 ± 10.5	4083 ± 204	4215 ± 48	4195
320 - 350	1496 ± 35	818 ± 20	10.0 ± 0.6	19.7 ± 1.2	33.6 ± 3.3	25.4 ± 4.2	9.0 ± 5.4	2385 ± 118	2407 ± 37	2364
350 - 390	1204 ± 31	555 ± 15	3.9 ± 0.2	12.7 ± 0.8	24.5 ± 2.4	22.1 ± 3.6	6.0 ± 3.5	1817 ± 87	1826 ± 32	1875
390 - 430	684 ± 20	275 ± 9	2.1 ± 0.1	8.3 ± 0.5	9.8 ± 1.0	13.9 ± 2.3	3.0 ± 1.6	978 ± 45	998 ± 23	1006
430 - 470	382 ± 14	155 ± 6	0.96 ± 0.06	4.9 ± 0.3	9.4 ± 0.9	6.6 ± 1.1	1.0 ± 0.8	589 ± 30	574 ± 17	543
470 - 510	248 ± 11	87.3 ± 3.8	0.47 ± 0.03	3.7 ± 0.2	0.22 ± 0.02	5.1 ± 0.8	0.65 ± 0.44	337 ± 15	344 ± 12	349
510 - 550	160 ± 8	52.2 ± 2.7	0.23 ± 0.01	2.0 ± 0.1	2.7 ± 0.3	2.2 ± 0.4	0.28 ± 0.19	211 ± 9	219 ± 9	216
550 - 590	99.5 ± 6.0	29.2 ± 1.9	0.12 ± 0.01	1.8 ± 0.1	0.94 ± 0.09	2.0 ± 0.3	0.19 ± 0.14	134 ± 6	134 ± 7	142
590 - 640	77.3 ± 4.9	18.9 ± 1.4	0.09 ± 0.01	0.46 ± 0.03	< 0.13	1.7 ± 0.3	0.11 ± 0.08	100 ± 4	98.5 ± 5.8	111
640 - 690	44.8 ± 3.5	11.2 ± 0.9	0.017 ± 0.001	0.19 ± 0.01	< 0.13	1.5 ± 0.2	0.06 ± 0.05	59.6 ± 2.6	58.0 ± 4.1	61
690 - 740	27.8 ± 2.5	6.1 ± 0.6	0.013 ± 0.0008	0.57 ± 0.04	< 0.13	0.69 ± 0.11	0.02 ± 0.02	36.6 ± 1.5	35.2 ± 2.9	32
740 - 790	21.8 ± 2.3	5.3 ± 0.6	< 0.005	0.28 ± 0.02	0.23 ± 0.02	0.11 ± 0.02	0.02 ± 0.02	23.8 ± 1.0	27.7 ± 2.7	28
790 - 840	13.5 ± 1.9	2.8 ± 0.4	< 0.005	0.18 ± 0.01	0.27 ± 0.03	0.010 ± 0.001	0.008 ± 0.007	15.3 ± 0.7	16.8 ± 2.2	14
840 - 900	9.5 ± 1.4	2.0 ± 0.3	< 0.005	0.28 ± 0.02	< 0.13	0.25 ± 0.04	< 0.008	12.2 ± 0.6	12.0 ± 1.6	13
900 - 960	5.4 ± 1.0	1.1 ± 0.2	< 0.005	< 0.08	< 0.13	0.37 ± 0.06	< 0.008	7.6 ± 0.3	6.9 ± 1.2	7
960 - 1020	3.3 ± 0.8	0.77 ± 0.21	< 0.005	0.12 ± 0.01	< 0.13	0.23 ± 0.04	< 0.008	5.2 ± 0.3	4.5 ± 1.0	3
1020 - 1160	2.5 ± 0.8	0.52 ± 0.16	< 0.005	< 0.08	< 0.13	0.16 ± 0.03	< 0.008	3.6 ± 0.2	3.2 ± 0.9	1
1160 - 1250	1.7 ± 0.6	0.3 ± 0.11	< 0.005	< 0.08	< 0.13	0.16 ± 0.03	< 0.008	2.3 ± 0.1	2.2 ± 0.7	2
> 1250	1.4 ± 0.5	0.19 ± 0.08	< 0.005	< 0.08	< 0.13	0.06 ± 0.01	< 0.008	1.6 ± 0.1	1.6 ± 0.6	3

http://cms-results.web.cern.ch/cms-results/public-results/preliminary-results/EXO-16-013/#AddFig



On the BG uncertainty

• The BG is statistically driven, e.g. pp-> Zj \rightarrow nnj BG is defined from the pp \rightarrow Zj \rightarrow I⁺I⁻j one

CMS-PAS-EXO-16-013

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1020 - 1160	2.5 ± 0.8	0.52 ± 0.16	3.6 ± 0.2	3.2 ± 0.9	1
1160 - 1250	1.7 ± 0.6	0.3 ± 0.11	2.3 ± 0.1	2.2 ± 0.7	2
> 1250	1.4 ± 0.5	0.19 ± 0.08	1.6 ± 0.1	1.6 ± 0.6	3



On the BG uncertainty



- The BG is statistically driven, e.g. pp-> Zj \rightarrow nnj BG is defined from the pp \rightarrow Zj \rightarrow I⁺I⁻j one
- For the high enough statistics the BG error can be as low as 1%, but not much lower than this!
- Once ~ 1% dBG is reached (we assume as a floor), the increase of luminosity does not improve LHC sensitivity: the BG uncertainty linearly grows with luminosity together with signal
- at about 300 fb⁻¹ such saturation is reached for all operators for current LHC cuts



Distinguishing the DM operators: χ^2 for pairs of DM operators

$$\chi_{k,l}^2 = \min_{\kappa} \sum_{i=3}^{7} [(\frac{1}{2}N_i^k - \kappa \cdot N_i^l)/(10^{-2}BG_i)]^2 \quad : \text{if } \chi^2 > 9.48 \text{ (95\%CL for 4 DOF)} - \text{operators can be distinguished!}$$

		1 C	Complex 00 GeV 1 C5	Scalar I 1000 C1	OM GeV C5	Dirac Fermion DM100 GeV1000 GeVD1D9D1D9D1D9				
Complex Scalar	$100 \ { m GeV}$	C1 0. C5 15 .	0 19.7 74 0.0	25.54 0.37	$\begin{array}{c} 74.63\\ 16.25\end{array}$	11.73 1.11	41.79 3.93	25.78 0.74	52.58 7.35	
DM	$\frac{1000}{\text{GeV}}$	C1 19. C5 50.	89 0.3686 13.86	0.0 10.34	11.82 0.0	2.33 21.03	$2.09 \\ 3.7$	0.27 11.18	$4.58 \\ 1.53$	
Dirac Fermion	$\frac{100}{\mathrm{GeV}}$	D1 9.8 D9 30.	88 1.17 49 3.59	2.52 1.96	25.99 3.96	0.0 7.99	$9.23 \\ 0.0$	$2.4 \\ 2.71$	14.17 0.52	
DM	$\frac{1000}{\text{GeV}}$	D1 20. D9 37.	31 0.7338 6.54	0.27 4.18	12.92 1.6	2.25 11.96	$2.93 \\ 0.5$	$\begin{array}{c} 0.0\\ 4.89\end{array}$	5.42 0.0	



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: if χ^2 >9.48 (95%CL for 4 DOF) – operators can be distinguished!

			Co	Complex Scalar DM Dirac Fermion DM			Complex Vector DM											
			100	${\rm GeV}$	1000	${\rm GeV}$	100	100 GeV $1000 GeV$		$100 {\rm GeV}$			$1000 { m ~GeV}$					
			C1	C5	C1	C5	D1	D9	D1	D9	V1	V3	V5	V11	V1	V3	V5	V11
Complex Scalar	$100 \ { m GeV}$	C1 C5	0.0 15.74	19.7 0.0	25.54 0.37	$\begin{array}{c} 74.63\\ 16.25\end{array}$	11.73 1.11	41.79 3.93	25.78 0.74	52.58 7.35	22.97 0.18	32.89 1.53	54.35 8.2	$73.34 \\ 15.73$	25.18 0.44	34.61 1.9	52.34 7.24	$\begin{array}{c} 80.85\\ 19.13\end{array}$
DM	$1000 ext{GeV}$	C1 C5	$\begin{array}{c} 19.89\\ 50.86\end{array}$	0.36 13.86	0.0 10.34	11.82 0.0	2.33 21.03	$2.09 \\ 3.7$	0.27 11.18	$4.58 \\ 1.53$	0.06 11.57	$\begin{array}{c} 0.45 \\ 6.82 \end{array}$	$5.29 \\ 1.26$	11.41 0.01	0.06 10.84	$\begin{array}{c} 0.68\\ 6.1 \end{array}$	$\begin{array}{c} 4.42 \\ 1.61 \end{array}$	14.36 0.14
Dirac	$100 \ { m GeV}$	D1 D9	9.88 30.49	$1.17 \\ 3.59$	$2.52 \\ 1.96$	25.99 3.96	0.0 7.99	$\begin{array}{c} 9.23 \\ 0.0 \end{array}$	$2.4 \\ 2.71$	$\begin{array}{c} 14.17 \\ 0.52 \end{array}$	$1.85 \\ 2.49$	$5.09 \\ 0.62$	1 5.34 0.73	25.37 3.69	2.29 2.31	$5.85 \\ 0.39$	13.85 0.56	29.81 5.36
DM	$1000 ext{GeV}$	D1 D9	20.31 37.38	$0.73 \\ 6.54$	$0.27 \\ 4.18$	12.92 1.6	2.25 11.96	$\begin{array}{c} 2.93 \\ 0.5 \end{array}$	0.0 4.89	$\begin{array}{c} 5.42 \\ 0.0 \end{array}$	0.32 4.98	$0.82 \\ 2.02$	$\begin{array}{c} 6.33 \\ 0.06 \end{array}$	12.58 1.44	$0.08 \\ 4.56$	$\begin{array}{c} 1.18\\ 1.61 \end{array}$	$5.08 \\ 0.04$	15.7 2.55
	100 m GeV	V1 V3 V5 V11	$18.06 \\ 24.86 \\ 38.36 \\ 50.03$	0.17 1.45 7.24 13.43	0.06 0.44 4.79 10.0	13.34 7.57 1.3 0.01	1.72 4.57 12.86 20.55	$2.68 \\ 0.65 \\ 0.7 \\ 3.45$	0.32 0.79 5.67 10.89	5.5 2.14 0.06 1.39	0.0 0.74 5.61 11.2	$0.77 \\ 0.0 \\ 2.5 \\ 6.54$	6.25 2.68 0.0 1.11	12.9 7.25 1.14 0.0	0.1 0.57 5.24 10.52	$1.06 \\ 0.03 \\ 2.04 \\ 5.83$	5.34 2.04 0.13 1.49	16.03 9.59 2.13 0.16
Complex Vector DM	1000 GeV	V1 V3 V5 V11	$19.73 \\ 25.96 \\ 37.33 \\ 54.48$	0.43 1.78 6.47 16.14	0.06 0.65 4.04 12.42	12.46 6.72 1.68 0.13	2.13 5.21 11.72 23.85	$2.48 \\ 0.4 \\ 0.55 \\ 4.95$	0.08 1.12 4.59 13.43	5.02 1.7 0.04 2.41	0.1 1.01 4.84 13.74	$0.59 \\ 0.03 \\ 1.93 \\ 8.55$	5.83 2.17 0.14 2.03	12.09 6.41 1.55 0.16	0.0 0.85 4.34 13.01	0.89 0.0 1.57 7.73	4.78 1.65 0.0 2.57	15.14 8.6 2.72 0.0

Importance of the operator running in the DM DD ↔ Collider interplay

- the connection between physics at high and low energy is crucial to properly explore complementarity collider and non-collider DM experiments
- RGEs for the EFT introduce the mixing between different operators Kopp,Niro,Schwetz,Zupan(2009); Hill, Solon(2012); Frandsen, Haisch, Kahlhoefer, Mertsch, Schmidt-Hoberg (2012); Kopp,Michaels, Smirnov(2014); Crivellin,D'Eramo,Procura(2014);Crivellin, Haisch(2014); Berlin, Robertson,Solon,Zurek(2016); D'Eramo, de Vries, Panci(2016); D'Eramo,Kavanagh, Panci(2016)

$$\mathcal{L} \supset -\frac{J_{DM}^{\mu}J_{SM,\mu}}{\Lambda^2}, \qquad J_{\mu}^{SM} = \sum_{i=1}^{3} \left[c_{Vq}^{(i)}(\Lambda) \overline{q^{(i)}} \gamma_{\mu} q^{(i)} + c_{Aq}^{(i)}(\Lambda) \overline{u^{(i)}} \gamma_{\mu} \gamma_{5} u^{(i)} + \dots \right]$$

let us take, for example, $J^{\mu}_{DM} = c_{V\chi} \overline{\chi} \gamma^{\mu} \chi + c_{A\chi} \overline{\chi} \gamma^{\mu} \gamma_5 \chi$

Once the wilson coefficient are evolved at the low scale, we need to match the low energy parton-level lagrangian with the low energy nucleon one

$$\mathcal{L} \supset -\frac{J_{DM}^{\mu}}{\Lambda^2} \left(c_V^{(N)} \overline{N} \gamma_{\mu} N + c_A^{(N)} \overline{N} \gamma_{\mu} \gamma_5 N \right) \quad \text{and} \quad \sigma_{SI}^N = \frac{\mu_N^2}{\pi} \frac{(c_V \chi c_V^{(N)})^2}{\Lambda^4}$$

where
$$\mu_N = m_{\chi} m_N / (m_{\chi} + m_N)$$



(1 7)

Importance of the operator running in the DM DD ↔ Collider interplay

In case of axial operators, e.g

 $c_A^{(q)} c_\chi \overline{\chi} \gamma^\mu \chi \overline{q} \gamma_\mu \gamma_5 q \qquad (D7) \qquad \text{or} \qquad c_A^{(q)} c_\phi \phi^\dagger \overleftrightarrow{\partial}_\mu \phi \overline{q} \gamma^\mu \gamma_5 q \qquad (C4)$

couplings $\mathbf{c_v}^{(q)}$ arise due to the running of the wilson coeffcient $\mathbf{c_A}^{(q)}$ leading to sizable constraints on the DM DD constraints

 One can use runDM program (github.com/bradkav/runDM) by F. D'Eramo, B. J. Kavanagh & P. Panci

 $c_A^{(u)}, c_A^{(d)}, c_V^{(u)}, c_V^{(d)} = (1,1,0,0)[5\text{TeV}] \rightarrow (1.1, 1.1, 0.04, -0.07)[1\text{GeV}]$



Importance of the operator running in the DM DD ↔ Collider interplay

In case of axial operators, e.g

 $c_{A}^{(q)}c_{\chi}\overline{\chi}\gamma^{\mu}\chi\overline{q}\gamma_{\mu}\gamma_{5}q$ (D7) or $c_{A}^{(q)}c_{\phi}\phi^{\dagger}\overleftrightarrow{\partial}_{\mu}\phi\overline{q}\gamma^{\mu}\gamma_{5}q$ (C4) couplings $\mathbf{c}_{v}^{(q)}$ arise due to the running of the wilson coeffcient $\mathbf{c}_{A}^{(q)}$ leading to sizable constraints on the DM DD constraints

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Application for the case beyond EFT: SUSY





There is no limit on the LSP mass if the mass of strongly interacting SUSY particles above ~ 1.9 TeV





Susy Compressed Mass Spectrum scenario

- The most challenging case takes place when only $\chi^0_{1,2}$ and χ^{\pm} are accessible at the LHC, and the mass gap between them is not enough for any leptonic signature
- The only way to probe CHS is a mono-jet signature

 ["Where the Sidewalk Ends? ..." Alves, Izaguirre, Wacker '11],
 which has been used in studies on compressed SUSY spectra, e.g.
 Dreiner, Kramer, Tattersall '12; Han, Kobakhidze, Liu, Saavedra, Wu'13;
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Signal vs Background

but the difference in shapes is difference in rates encouraging, especially for large DM is pessimistic ... mass \rightarrow biger M(DM,DM) \rightarrow flatter MET pp $\rightarrow vvj$ vs. pp $\rightarrow \chi\chi j$ pp->vvj vs. pp->yyj Background events/bin Background u=93 GeV • u=93 GeV S and BG 10 u=500 GeV u=500 GeV number of events for 10-2 100 fb⁻¹ 10-3 10³ 10-4 10² 10⁻⁵ 10 10⁻⁶ 10-7 normalised signal and Z 10-1 10⁻⁸ background distributions 10-2 10⁻³ 10⁻⁹ ō 2000 0 200 2001600 2000 (GeV)

Signal and Zj background parton-level $p_{T}^{\ j}$ distributions for the 13 TeV LHC



LHC/DM direct detection sensitivity



Barducci, Bharucha, Porod, Sanz, AB JHEP 1507 (2015) 066, arXiv:1504.02472

- SUSY DM, can be around the corner (~100 GeV), but it is hard to detect it!
- Great complementarity of DD and LHC for small DM (NSUSY) region



Case of inert 2 Higgs Doublet Model (i2HDM): consistent model with scalar DM

$$\phi_1 = \frac{1}{\sqrt{2}} \begin{pmatrix} 0\\ v+H \end{pmatrix} \qquad \phi_2 = \frac{1}{\sqrt{2}} \begin{pmatrix} \sqrt{2}h^+\\ h_1+ih_2 \end{pmatrix}$$

$$V = -m_1^2(\phi_1^{\dagger}\phi_1) - m_2^2(\phi_2^{\dagger}\phi_2) + \lambda_1(\phi_1^{\dagger}\phi_1)^2 + \lambda_2(\phi_2^{\dagger}\phi_2)^2 + \lambda_3(\phi_1^{\dagger}\phi_1)(\phi_2^{\dagger}\phi_2) + \lambda_4(\phi_2^{\dagger}\phi_1)(\phi_1^{\dagger}\phi_2) + \frac{\lambda_5}{2} \left[(\phi_1^{\dagger}\phi_2)^2 + (\phi_2^{\dagger}\phi_1)^2 \right]$$





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LHC reach for I2HDM with mono-jet signature

LHC is sensitive only to low DM masses – similar BG & signal shapes, poor improvement with luminosity increase





Beyond the mono-jet signature

Example of the vector resonance in the Composite Higgs model: $Z' \rightarrow TT \rightarrow t t DM DM$ signature





Complementarity of LHC and non-LHC DM searches

for the model with Vector Resonances, Top Partners and Scalar DM $TT \rightarrow t t DM DM$





The role of Z' vs QCD for pp \rightarrow TT \rightarrow t t DM DM



LHC is probing now DM and top patner masses up to about 0.9 and 1.5 TeV respectively: above bounds from QCD production alone by ~ factor of two



Decoding the nature of DM at the ILC

muon spectrum from the models with scalar and fermion DM

e+e- \rightarrow D+ D- \rightarrow DM DM W+ W- \rightarrow DM DM jj $\mu \, \nu$





About Decoding Problem in general



- probably the most challenging problem to solve the inverse problem of decoding of the underlying theory from signal
 - requires database of models, database of signatures
 - requires smart procedure based on machine learning of matching signal from data with the pattern of the signal from data



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 - requires database of models, database of signatures
 - requires smart procedure based on machine learning of matching signal from data with the pattern of the signal from data
- HEPMDB (High Energy Physics Model Database) was created in 2011 to make the first step towards this: hepmdb.soton.ac.uk/phenodata
 - recently has got a status of the permanent server at Southampton
 - convenient centralized storage environment for HEP models
 - it allows to evaluate the LHC predictions and perform event generation using CalcHEP, Madgraph for any model stored in the database
 - users can upload their own model and perform simulation became a very attractive feature for all range of researchers
 - no database of signatures yet (is under development) you input could play and important role



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• HEPMDB

High Energy Physics Models DataBase

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Sear	ch in HEPMDB Show All Models
Sea	rch Models :: Results for [MSSM]
1.	MSSM [2011-06-21 10:54:07] hepmdb:0611.0028
	CalcHEP/MicrOMEGAs groups
	We present MSSM with SUGRA and AMSB scenario as well as MSSM with low energy input. Read file INSTALLATION for model installation and file CITE for references on scientific publications which pre
2.	MSSM with bilinear R-Parity violation [2011-11-17 20:00:51] hepmdb:1111.0036
	Florian Staub
	The MSSM with bilinear R-Parity violating terms in the superpotential and for the soft-breaking terms. Model files created by SARAH 3.1.0 Support of SLHA+ functionality to read spectrum files
3.	TMSSM [2011-11-17 20:06:23] hepmdb:1111.0037
	Florian Staub
	Triplet extended MSSM (including possibility of flavor violation) Model files created by SARAH 3.1.0 Support of

Alexander Belyaev



Decoding DM at the LHC

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- As a HEPMDB spin-off the PhenoData project was created hepmdb.soton.ac.uk/phenodata
 - stores data (digitized curves from figures, tables etc) from those HEP papers which did not provide data in arXiv or HEPData, and to avoid duplication of work of HEP researchers on digitizing plots.
 - has an easy search interface and paper identification via arXiv, DOI or preprint numbers. PhenoData is not intended to be a replication of any existing archive



Summary

- Different DM spin → different energy dependence of the DM component of the EFT operator, different M_{DMDM} distributions → different MET distributions: thus the MET is related to the DM spin andrespective operator and can characterise it
- At the LHC from 300 fb⁻¹ it is possible to distinguish several classes of operators, all models are public at HEPMDB https://hepmdb.soton.ac.uk/
- The strategy on distinguishing EFT DM operators is generically applicable beyond EFT, when the DM mediator is not produced on-the-mass-shell -M_{DMDM} is not fixed: t-channel mediator or mediators with mass below 2M_{DM}
- We should explore more signatures and models to prepare more complete framework on decoding LHC signatures
- ILC is very complementary to the LHC in exploration of DM properties



Thank you!





Backup Slides



i2HDM benchmarks

BM	1	2	3	4	5	6
M_{h_1} (GeV)	55	55	50	70	100	100
M_{h_2} (GeV)	63	63	150	170	105	105
M_{h_+} (GeV)	150	150	200	200	200	200
λ_{345}	$1.0 imes 10^{-4}$	0.027	0.015	0.02	1.0	0.002
λ_2	1.0	1.0	1.0	1.0	1.0	1.0
Ωh^2	9.2×10^{-2}	$1.5 imes 10^{-2}$	$9.9 imes10^{-2}$	$9.7 imes 10^{-2}$	$1.3 imes 10^{-4}$	$1.7 imes 10^{-3}$
σ_{SI}^p (pb)	1.7×10^{-14}	$1.3 imes 10^{-9}$	4.8×10^{-10}	4.3×10^{-10}	$5.3 imes 10^{-7}$	2.1×10^{-12}
R_{SI}^{LUX}	$1.6 imes10^{-5}$	0.19	0.51	0.37	0.48	$2.5 imes 10^{-5}$
$Br(H \to h_1 h_1)$	5.2×10^{-6}	0.27	0.13	0.0	0.0	0.0
σ_{LHC8} (fb)						
h_1h_1j	$5.44 imes10^{-3}$	288.	134.	$6.05 imes10^{-3}$	1.80	$7.23 imes 10^{-6}$
h_1h_2j	36.7	36.7	6.48	3.90	6.93	6.93
h_1h_1Z	$6.14 imes 10^{-2}$	21.4	30.7	12.2	0.101	$2.52 imes 10^{-2}$
h_1h_1H	$1.70 imes10^{-4}$	8.98	4.21	$2.19 imes10^{-4}$	0.100	$3.33 imes10^{-7}$
h_1h_2H	$5.35 imes 10^{-3}$	$6.31 imes 10^{-3}$	$9.80 imes10^{-3}$	$7.54 imes10^{-3}$	$3.86 imes10^{-2}$	$5.51 imes 10^{-4}$
h_1h_1jj	$2.39 imes10^{-2}$	17.2	8.11	$4.44 imes10^{-2}$	0.212	$1.62 imes 10^{-2}$
σ_{LHC13} (fb)						
h_1h_1j	$1.67 imes10^{-2}$	878.	411.	$1.93 imes10^{-2}$	6.25	$2.50 imes 10^{-5}$
h_1h_2j	92.4	92.4	17.8	11.1	19.1	19.1
h_1h_1Z	0.153	46.2	66.9	28.3	0.241	$6.47 imes 10^{-2}$
h_1h_1H	$6.69 imes10^{-4}$	35.3	16.5	$9.08 imes 10^{-4}$	0.441	$1.51 imes 10^{-6}$
h_1h_2H	$1.18 imes10^{-2}$	$1.40 imes10^{-2}$	$2.47 imes 10^{-2}$	$1.99 imes10^{-2}$	$9.82 imes 10^{-2}$	$1.34 imes 10^{-3}$
h_1h_1jj	0.101	62.7	29.6	0.189	0.904	$7.49 imes10^{-2}$



A Simplified Model with Vector Resonances, Top Partners and Scalar DM

$$\begin{split} \mathcal{L} &= \mathcal{L}_{SM} + \mathcal{L}_{kin} + \mathcal{L}_{Z'q} + \mathcal{L}_{Z'\ell} + \mathcal{L}_{Z'Q'} + \mathcal{L}_{\phi Q'} - V_{\phi} \\ \mathcal{L}_{kin} &= -\frac{1}{4} \left(\partial_{\mu} Z'_{\nu} - \partial_{\nu} Z'_{\mu} \right) \left(\partial^{\mu} Z'^{\nu} - \partial_{\nu} Z'^{\mu} \right) + \frac{M_{Z'}^2}{2} Z'_{\mu} Z'^{\mu} \\ &\quad + \frac{1}{2} \partial_{\mu} \phi \, \partial^{\mu} \phi - \frac{m_{\phi}^2}{2} \phi^2 \\ &\quad + \overline{T'_s} \left(i D - M_{T'_s} \right) T'_s + \overline{Q'_d} \left(i D - M_{T'_d} \right) Q'_d \,, \\ \mathcal{L}_{Z'q} &= \lambda_{Z'q\bar{q},L/R} Z'_{\mu} \left(\bar{q}_{L/R} \gamma^{\mu} q_{L/R} \right) \,, \\ \mathcal{L}_{Z'\ell} &= \lambda_{Z'\ell+\ell-,L/R} Z'_{\mu} \left(\bar{\ell}_{L/R} \gamma^{\mu} \ell_{L/R} \right) \,, \\ \mathcal{L}_{Z'Q'} &= \lambda_{Z'T'_s \overline{T'_s,L/R}} Z'_{\mu} \left(\overline{T'_s,L/R} \gamma^{\mu} q_{L/R} \right) \\ &\quad + \lambda_{Z'T'_s \overline{T'_s,L/R}} Z'_{\mu} \left(\overline{T'_d,L/R} \gamma^{\mu} T'_{d,L/R} \right) \\ &\quad + \lambda_{Z'T'_d \overline{T'_d,L/R}} Z'_{\mu} \left(\overline{B'_d,L/R} \gamma^{\mu} B'_{d,L/R} \right) \,, \\ \mathcal{L}_{\phi Q'} &= \left(\lambda_{\phi T'_s t} \phi \, \bar{t}_R \, T'_{s,R} + \lambda_{\phi T'_d t} \phi \, \bar{t}_L \, T'_{d,L} + \lambda_{\phi T'_d t} \phi \, \bar{b}_L \, B'_{d,L} \right) + \text{h.c.} \,, \\ V_{\phi} &= \frac{\lambda_{\phi}}{4!} \phi^4 + \frac{\lambda_{\phi H}}{2} \phi^2 \left(|H|^2 - \frac{v^2}{2} \right) . \end{split}$$

NEX