

# New Measurements of Lorentz angle in (irradiated) silicon-strip-detectors

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CERN, Geneva, 2009

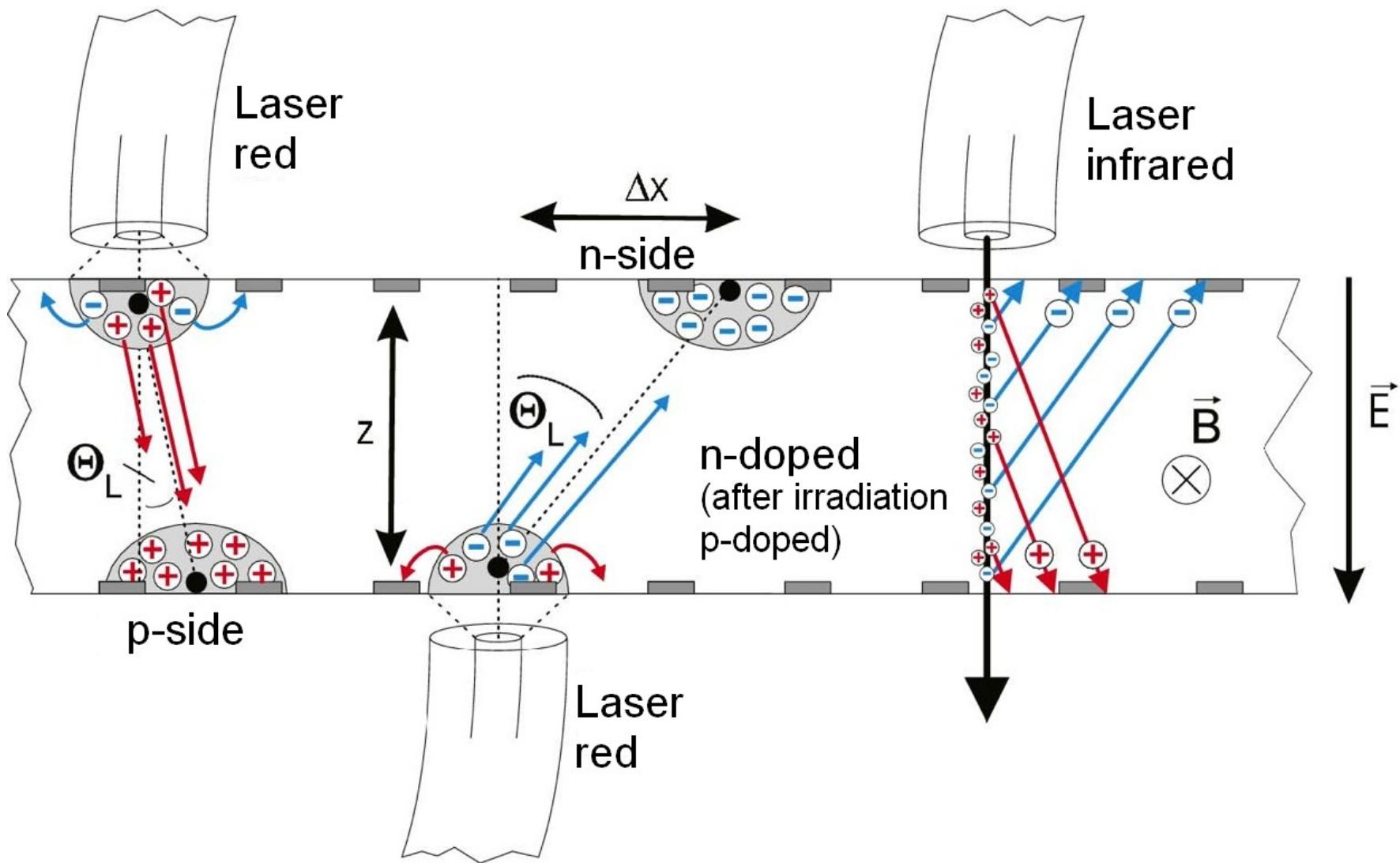
# What is new?

- Measured real CMS ministrip sensors  
(instead of ministrips from HERA-B, which had smaller pitch)  
CMS sensors allowed to measure to much higher bias voltages, use 500 µm for better sensitivity
- Measured RD50 n-in-p sensors to get much better Lorentz angle measurements for electrons
- Measured Lorentz angle in highly irradiation sensors

# Outline

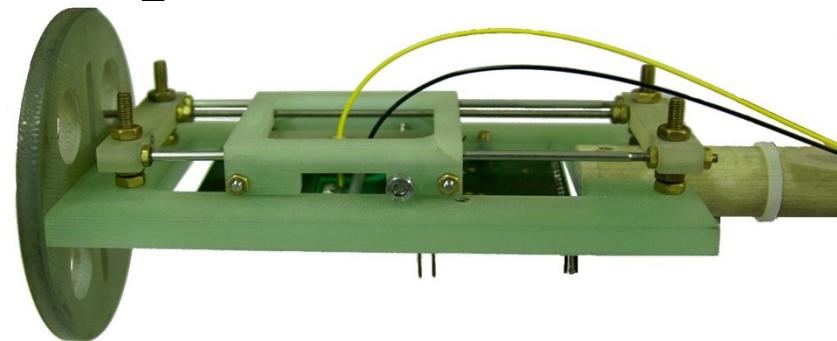
- Experimental Setup
- Sensors
- Model for calculating the Lorentz angle
- Results
- Lorentz angle over fluence
- Comparison with CMS data
- Summary

# Experimental Setup (1)



# Experimental Setup (2)

- Sensor with readout-chip PreMux (=APV w.o. Pipeline) on hybrid
- Hybrid mounted on structure for magnet
- Optical fibers for laser
  - red laser for best signal
  - infrared laser for MIP-like signal



# Experimental Setup - Magnet

- Magnet lab of ITP at Forschungszentrum Karlsruhe
- Measurements of Lorentz shift up to 8T

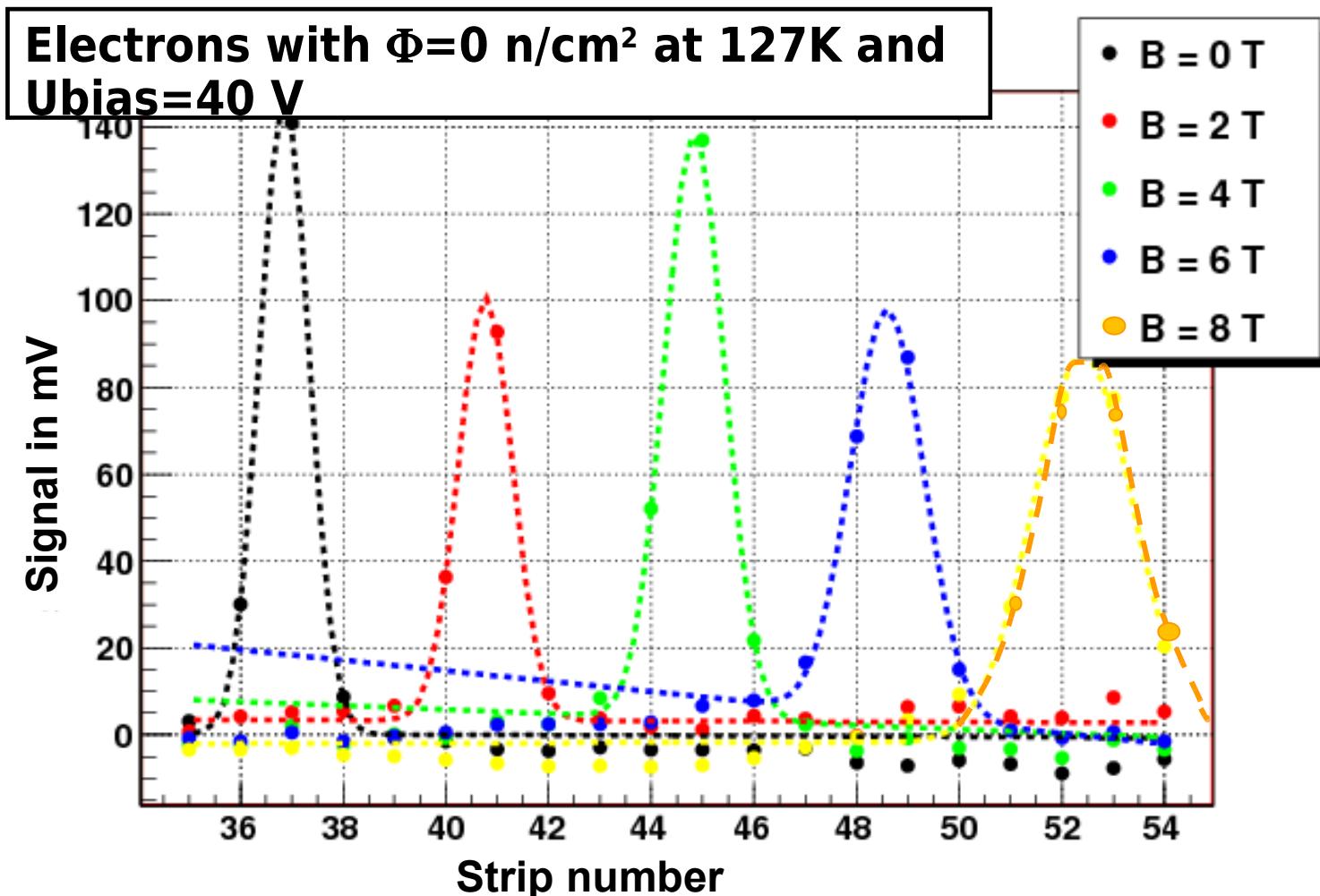


# Sensors

| Sensorname               | Manufacturer        | Material   | Thickness [μm] | $U_{dep}$ [V]  | Fluence [ $\frac{n_{eq}}{cm^2}$ ] | Pitch[μm] |
|--------------------------|---------------------|------------|----------------|----------------|-----------------------------------|-----------|
| FZ-p-in-n-0-h-154-CMS    | ST Microelectronics | FZ n-type  | 500            | 154            | 0                                 | 120       |
| FZ-n-in-p-0-e-12         | Micron / RD50       | FZ p-type  | 300            | 12             | 0                                 |           |
| FZ-n-in-p-1E15-e-1000    | Micron / RD50       | FZ p-type  | 300            | $\approx 1000$ | $1 \cdot 10^{15}$                 | 80        |
| FZ-n-in-p-9.8E15-e-1000  | Micron / RD50       | FZ p-type  | 300            | $> 1000$       | $9.8 \cdot 10^{15}$               |           |
| MCz-p-in-n-7.1E14-h-169  | HIP                 | MCz n-type | 300            | 169            | $7.1 \cdot 10^{14}$               |           |
| MCz-p-in-n-7.1E14-h-272  | HIP                 | MCz n-type | 300            | 272            | $7.1 \cdot 10^{14}$               |           |
| MCz-p-in-n-7.2E15-h-1000 | HIP                 | MCz n-type | 300            | $> 1000$       | $7.2 \cdot 10^{15}$               | 50        |
| MCz-p-in-n-0-h-347       | HIP                 | MCz n-type | 300            | 347            | 0                                 |           |

- Measurement of depletion voltage by finding the knee in the  $1/C^2$  over U plot
- Irradiated at Karlsruhe Kompaktzyklotron with 23 MeV protons
- Hardness factor 1.9

# Signals of unirradiated sensors



# Model for calculating the Lorentz angle

An Algorithm for calculating the Lorentz angle in silicon detectors.

V. Bartsch, W. de Boer, J. Bol, A. Dierlamm,  
E. Grigoriev, F. Hauler , S. Heising, L. Jungermann.

Nucl.Instrum.Meth.A497:389-396,2003.

e-Print: physics/0204078

$$E(z) = \frac{U_{Bias} - U_{Dep}}{d} + 2 \frac{U_{Dep}}{d} \left(1 - \frac{z}{d}\right)$$

mobility

$$\mu(E) = \frac{\mu_0}{\left(1 + \left(\frac{\mu_0 E}{v_{sat}}\right)^\beta\right)^{\frac{1}{\beta}}}$$

C. Jacoboni, C. Canali, 1977

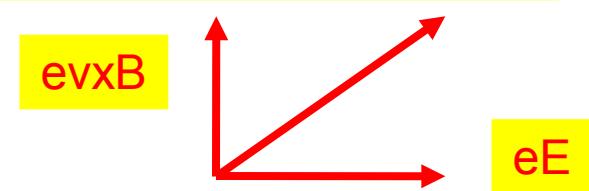
Electrons ( $\mu_0$  valid for T>200K)

$$\mu_0 = 1417 \frac{cm^2}{Vs} \cdot \left(\frac{T}{300}\right)^{-2.42}; \beta = 1.109 \cdot \left(\frac{T}{300}\right)^{0.66}; v_{sat} = 1.07 \cdot 10^7 cm/s \cdot \left(\frac{T}{300}\right)^{-0.87}$$

Holes ( $\mu_0$  valid for T>50K)

$$\mu_0 = 470.5 \frac{cm^2}{Vs} \cdot \left(\frac{T}{300}\right)^{-2.2}; \beta = 1.213 \cdot \left(\frac{T}{300}\right)^{0.17}; v_{sat} = 8.37 \cdot 10^6 cm/s \cdot \left(\frac{T}{300}\right)^{0.52}$$

$$\tan\theta_L = evB/eE = v/E \quad B = r_H \mu B$$



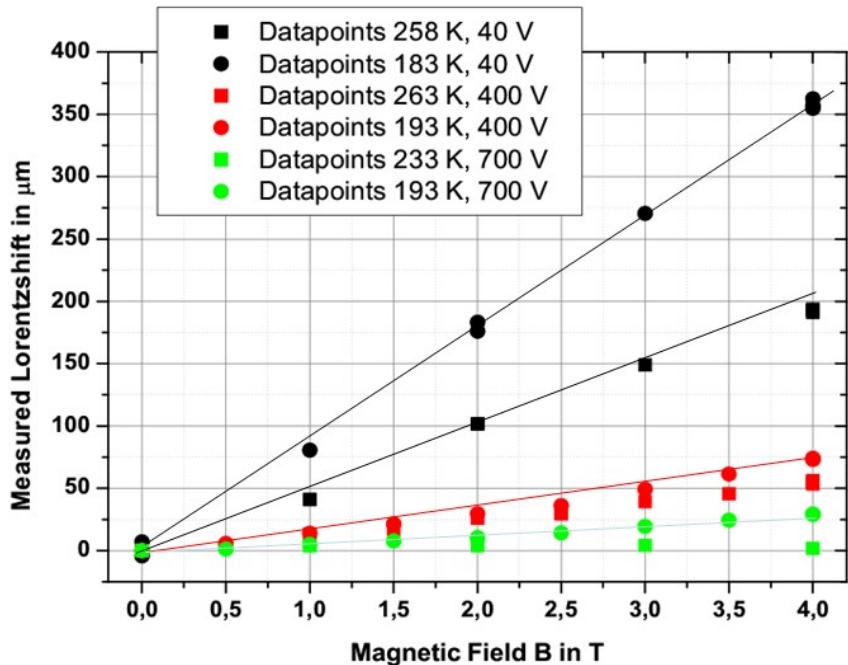
$r_H$ =Hall factor, depends on scattering mechanism

possible fit of 4 parameters:

- shaping exponent  $\beta$
- temperature exponents

# Results (1) Lorentz-shift of unirradiated sensors

## B field linearity of the CMS sensor



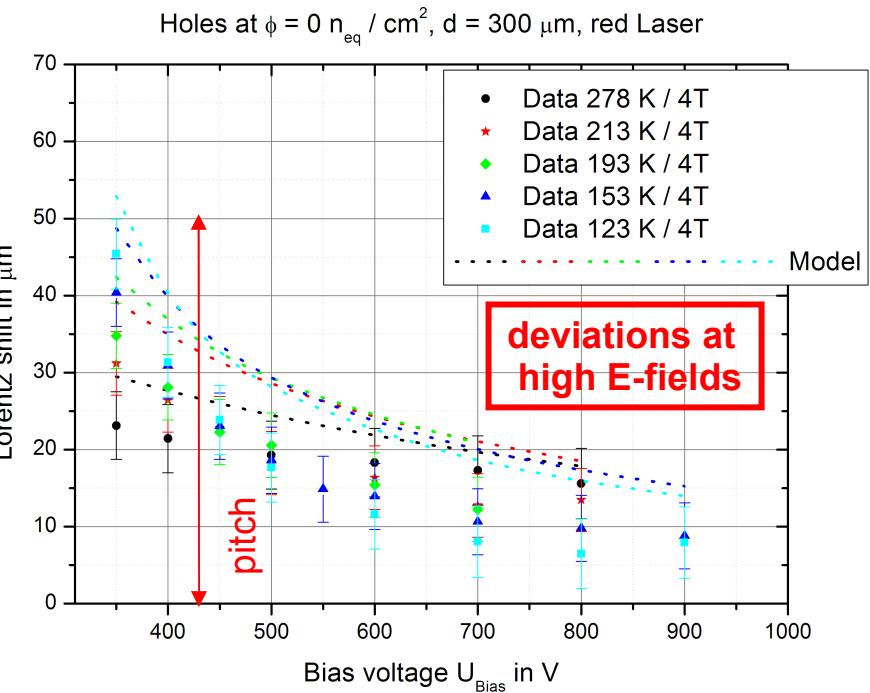
The data taken with the MCz-sensor has quite large deviations to the model, due to large deviations of the model at high voltages and measured Lorentz-shifts below the sensor pitch.

The new data shows a linear dependence on the magnetic field, which confirms the Lorentz-shift dependence:

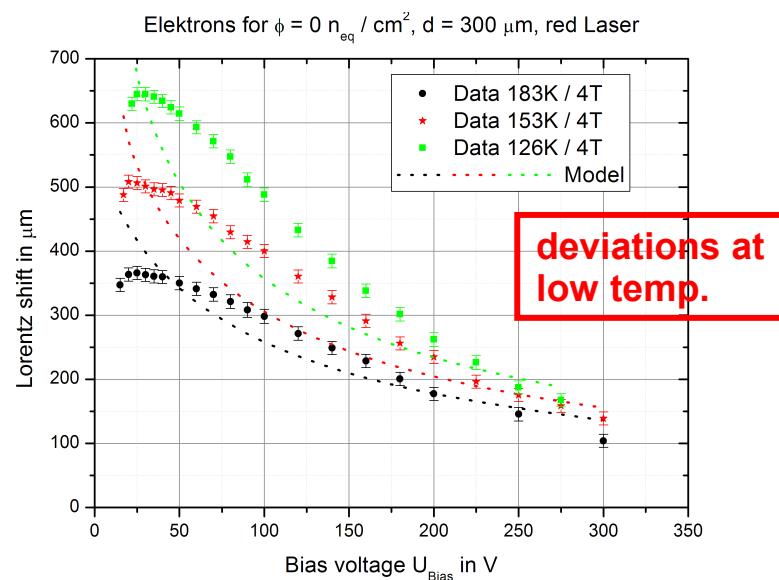
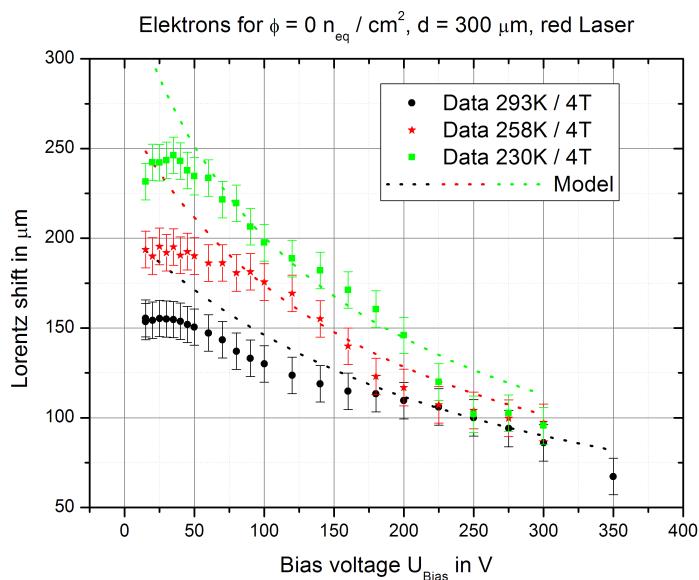
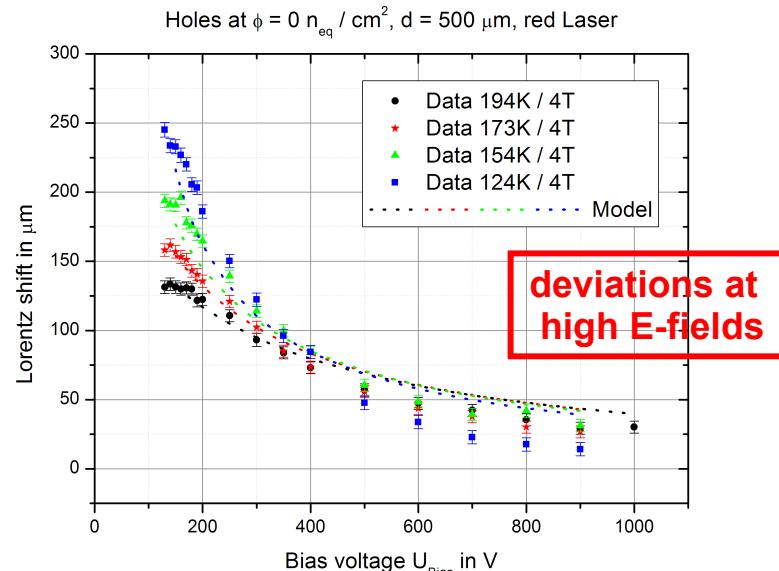
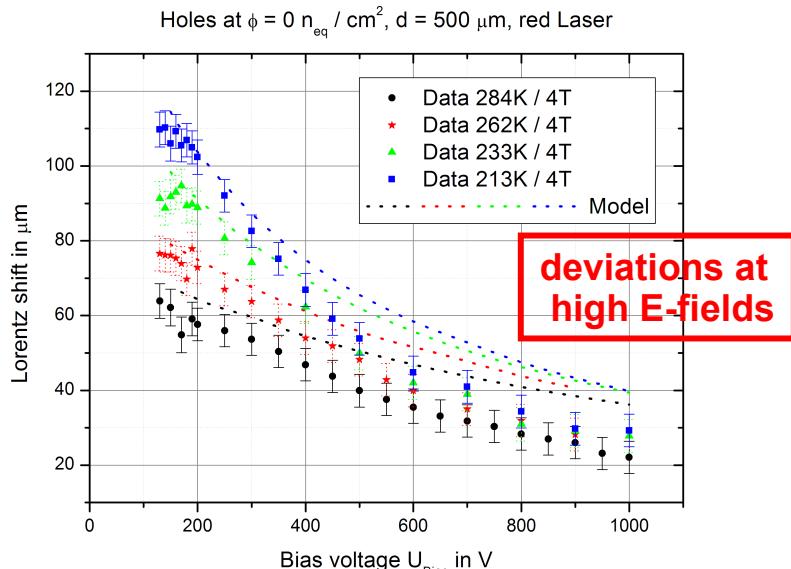
$$\Delta x = r_H \cdot \mu \cdot B \cdot \Delta d$$

used by the model.

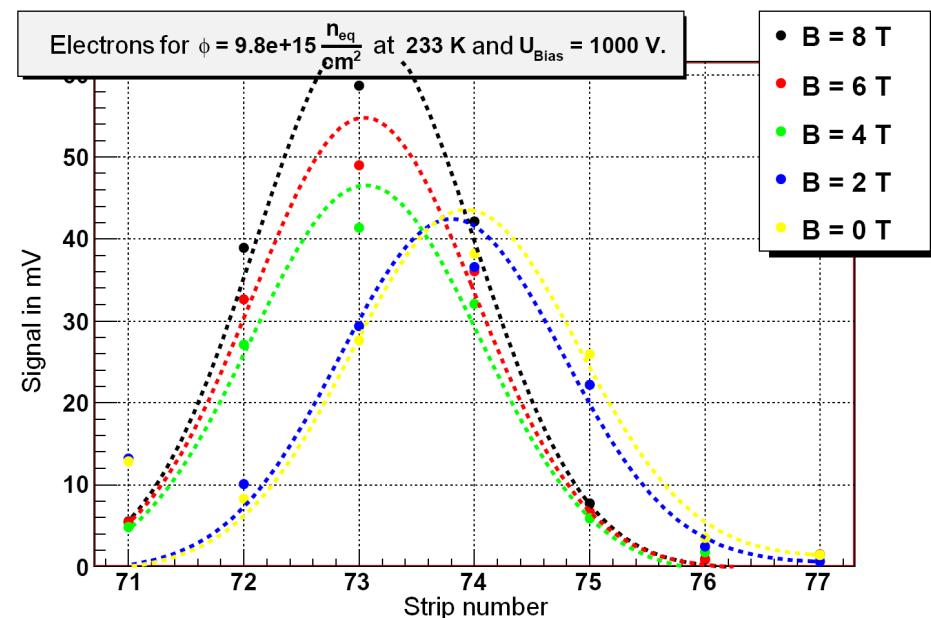
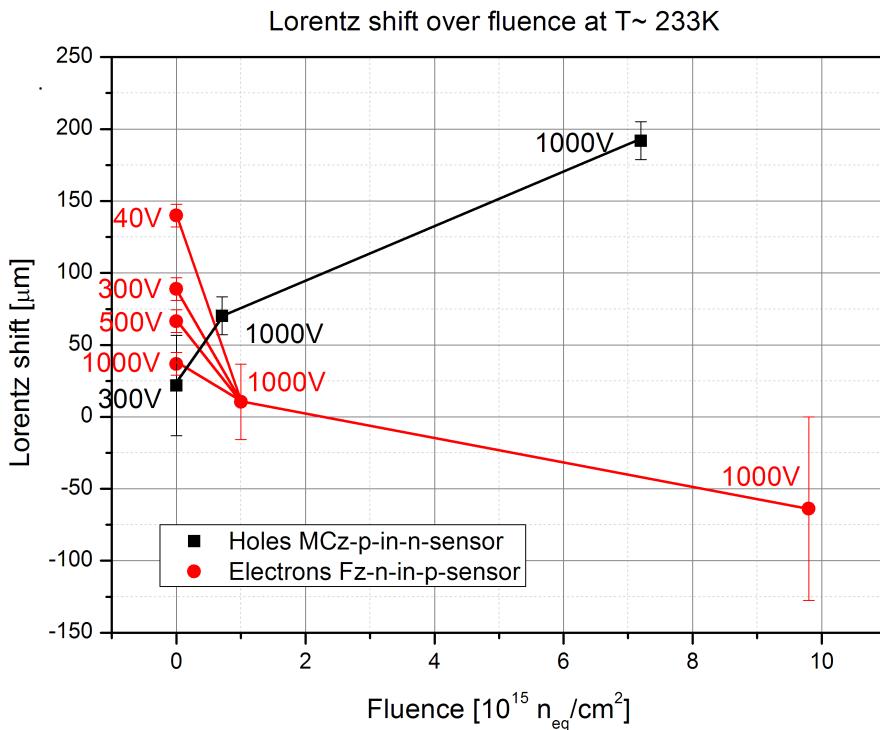
## MCz data for holes



# Results (1) Lorentz shift of unirradiated sensors



# Lorentz angle versus fluence



- Strong dependence of Lorentz shift for holes on fluences above  $1 \times 10^{15} n/cm^2$ ?
- Vanishing Lorentz shift for electrons above  $1 \times 10^{15} n/cm^2$ ?
- Change of sign at high fluences for electrons??  
But strange binary effect for this measurement!

# Lorentz angle from cluster width in CMS

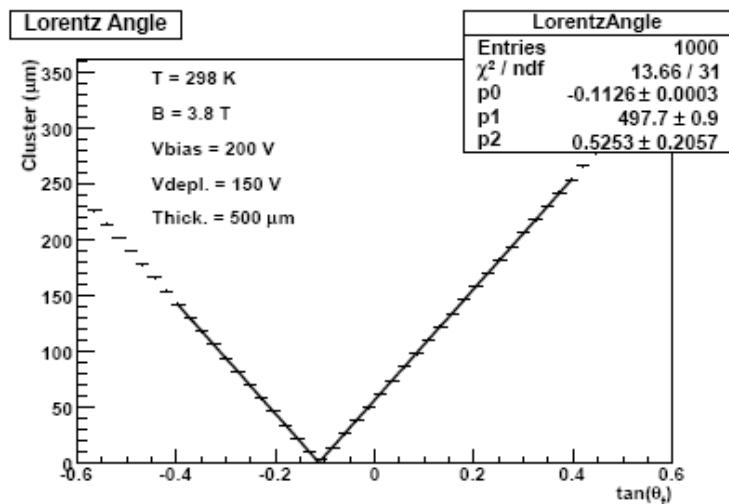
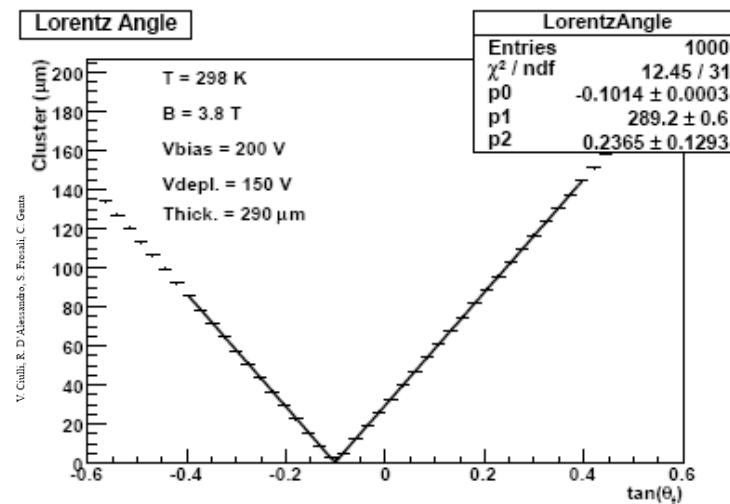
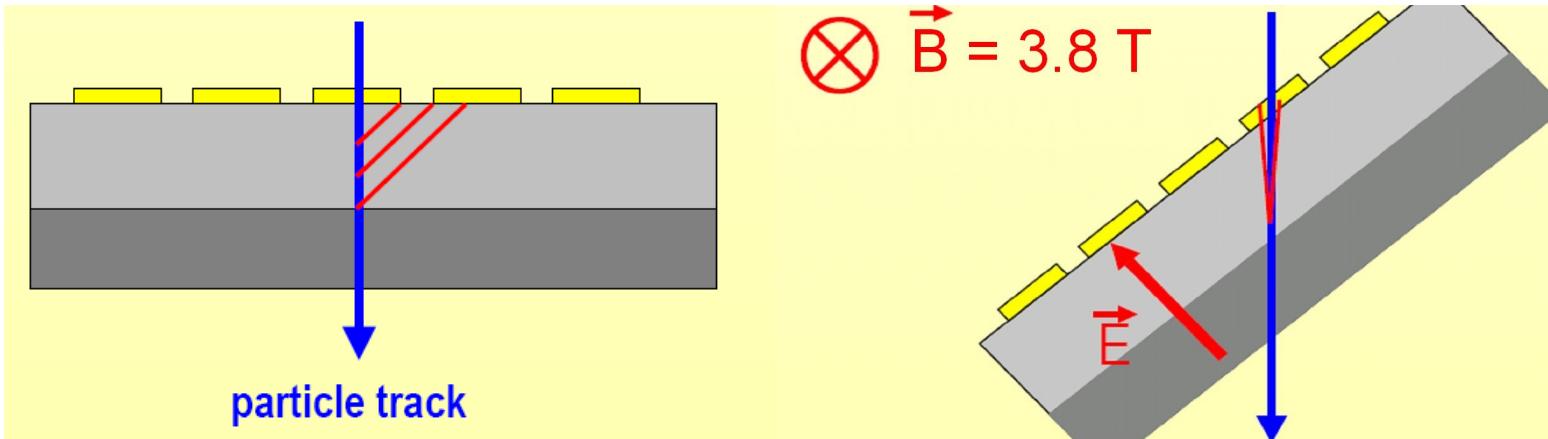


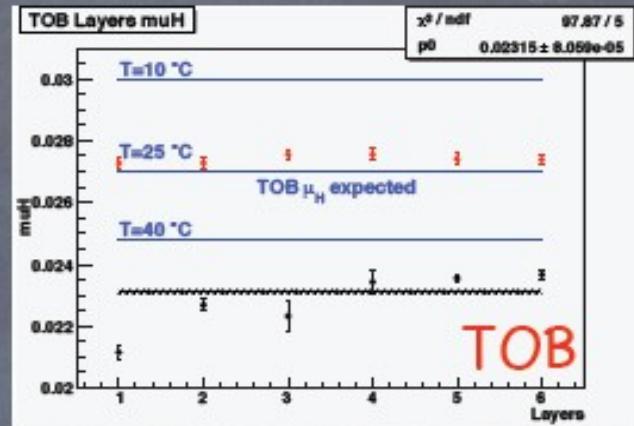
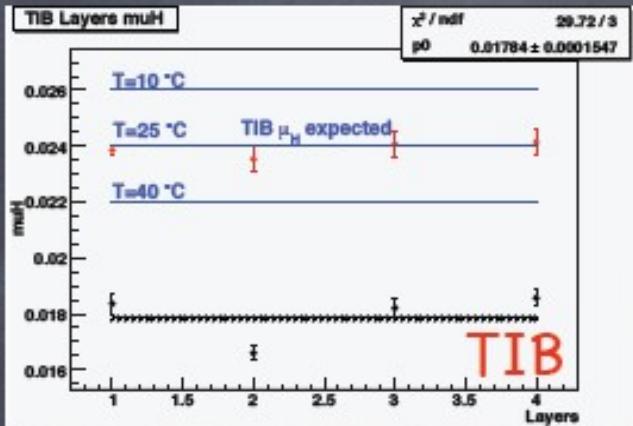
Figure 4: Estimate of the tangent of the Lorentz angle ( $p_0$ ) provided for the model, for TIB (left) and TOB (right) modules, at the MTCC working conditions.

# Comparison of CRAFT data to the model

Slide from „Lorentz angle calibration. CRAFT data.

## CRAFT REPRO

Cosmic MC.“ S. Frosali, V. Ciulli, 17 March 2009

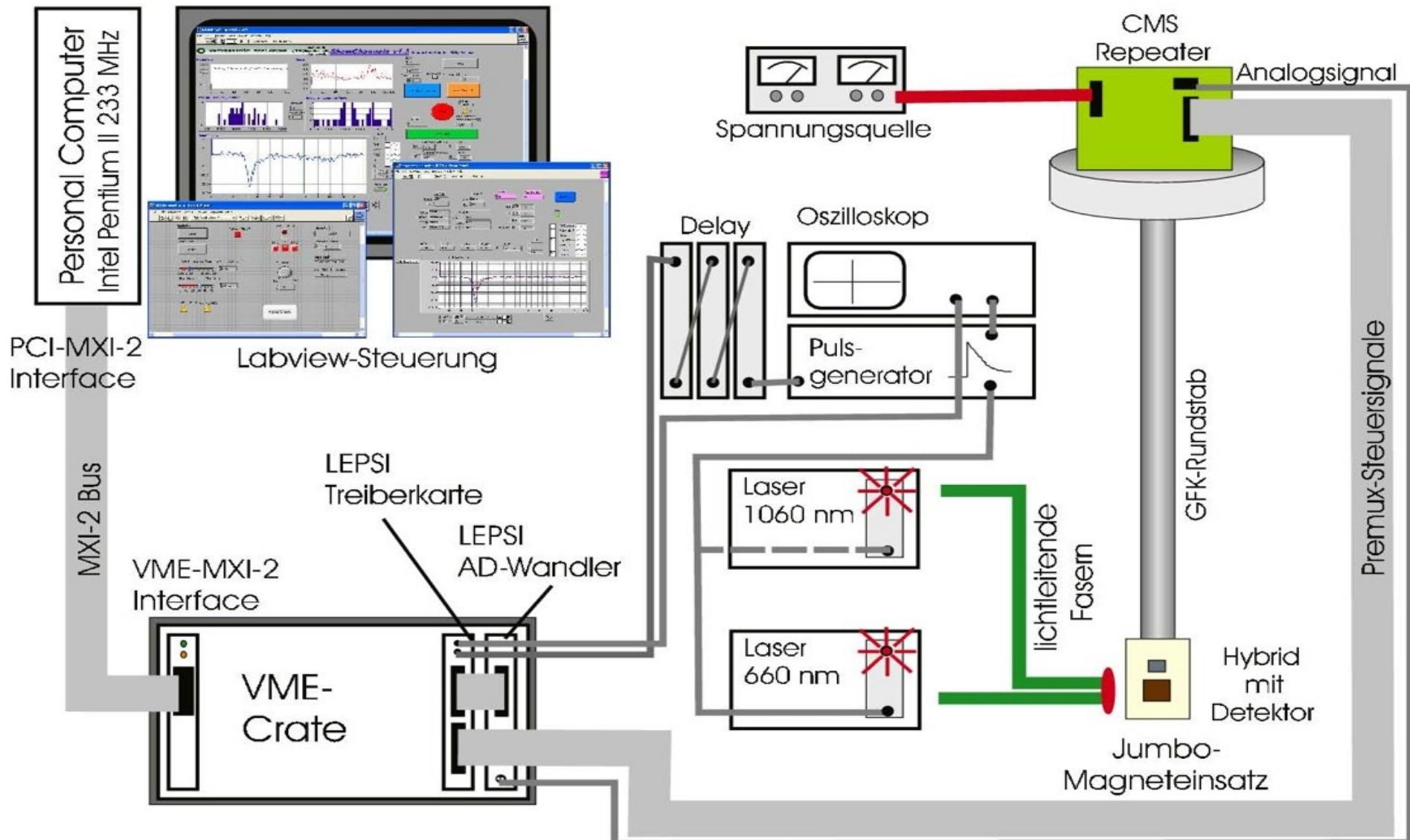


- Black:  $(\mu_H)$ measured ; Red:  $(\mu_H)$ expLy ;  
Blue line:  $(\mu_H)$ expected (TIB/TOB)
- In the plots the mean and the error on the mean obtained from the gaussian fit for each layer are shown
- We measure  $\mu_H$  values lower than the expected ones,  
~25% for TIB and ~14% for TOB

# Summary

- New Lorentz measurements for **holes** with real mini-CMS sensors (100 orientation, previous partially 111)
- Strong difference for the Lorentz of holes and electrons at high fluences compared to lower ones
- Since Lorentz angle varies with fluence, **in situ measurement by analog read out is needed for SLHC**
- Slide changes for the new data, but still incompatible with CMS minimal cluster width method

# Experimental Setup (3)



# Parametrization of Lorentz angle model

An Algorithm for calculating the Lorentz angle in silicon detectors.

V. Bartsch, W. de Boer, J. Bol, A. Dierlamm,  
E. Grigoriev, F. Hauler , S. Heising, L. Jungermann.

Nucl.Instrum.Meth.A497:389-396,2003.

e-Print: physics/0204078

$$E(z) = \frac{U_{Bias} - U_{Dep}}{d} + 2 \frac{U_{Dep}}{d} \left(1 - \frac{z}{d}\right)$$

**mobility**

$$\mu = \frac{\mu_0}{\left(1 + \left(\frac{E\mu_0}{v_s}\right)^\beta\right)}$$

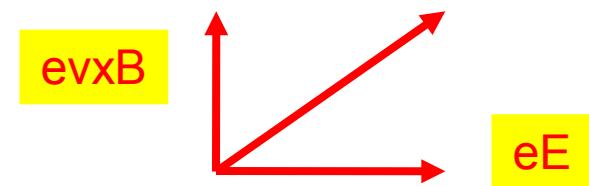
**electrons**

$$\mu_0 = 1417 \frac{cm^2}{VS} (T/300K)^{-1.76 \pm 0.08}$$

$$\beta = (1.247 \pm 0.054)$$

$$v_{sat} = 1.0 \cdot 10^7 \frac{cm}{s} (T/300K)^{0.89 \pm 0.10}$$

$$\tan\theta_L = evB/eE = v/E \quad B = r_H \mu B$$



$r_H$ =Hall factor, depends on scattering mechanism

## New fit of the 4 parameters:

- shaping exponent  $\beta$
- temperature exponents

**holes**

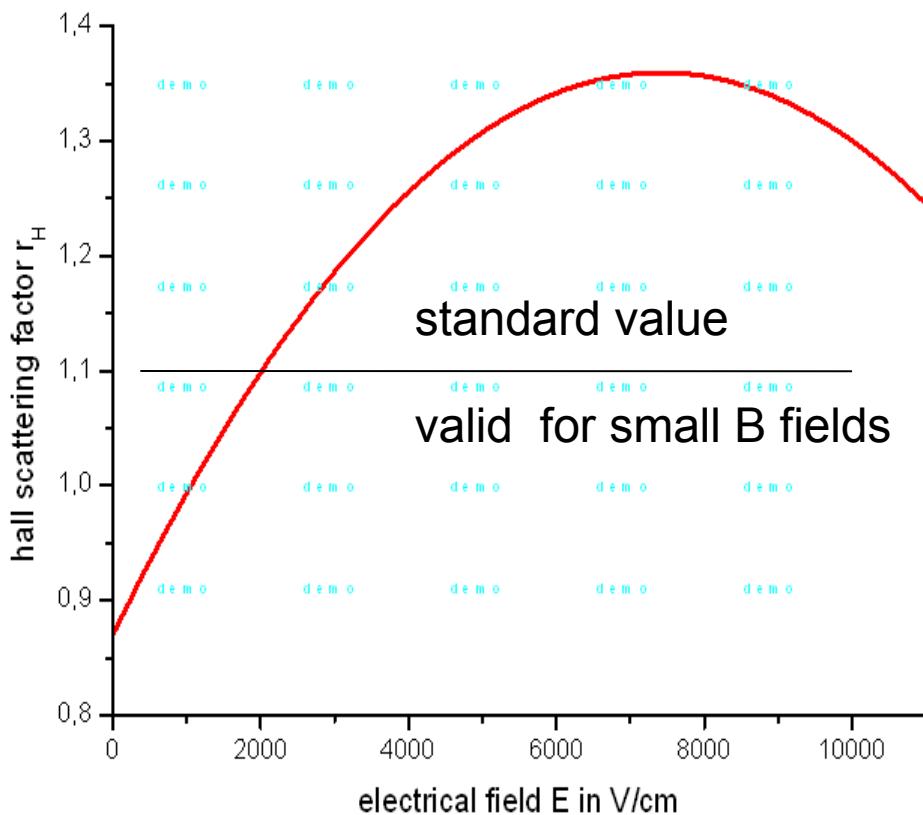
$$\mu_0 = 470.5 \frac{cm^2}{VS} (T/300K)^{-2.60 \pm 0.03}$$

$$\beta = (1.383 \pm 0.052)(T/300K)^{0.07 \pm 0.05}$$

$$v_{sat} = 8.37 \cdot 10^6 \frac{cm}{s}$$

# New: Parametrization of hall scattering factor

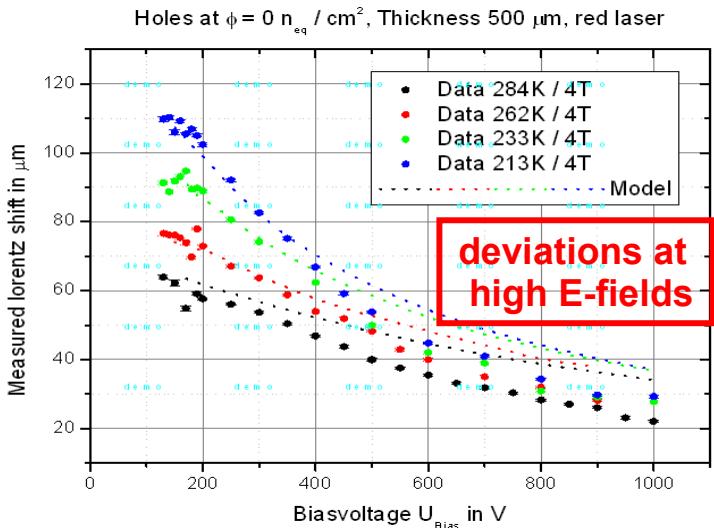
$$r_H = (0.87 \pm 0.02) + (1.32 \pm 0.09) \cdot 10^{-4} \cdot E - (0.89 \pm 0.09) \cdot 10^{-8} \cdot E^2$$



- Parabolic dependence of hall scattering factor on electric field
- Good description of data
- A constant  $r_H$  seems not appropriate (1.1 expected for small fields (i.e. small Lorentz angles, implying little curvature between scatterings))

# Results (1) holes CMS sensor (p-in-n)

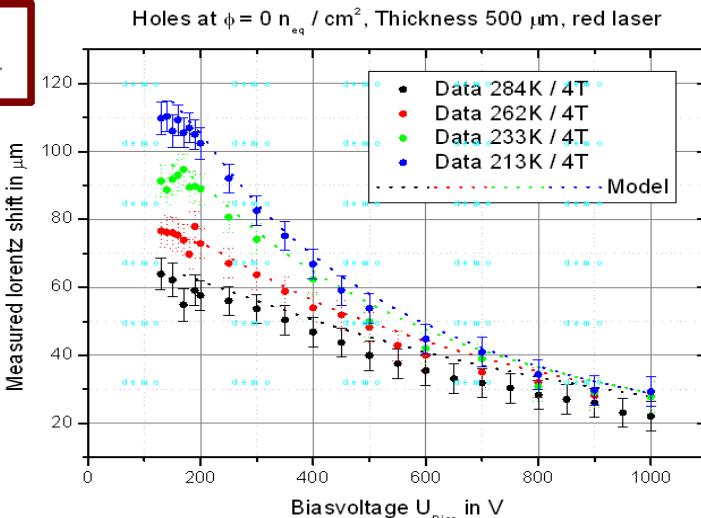
**OLD**



$$\chi^2/NDF = 1.1$$

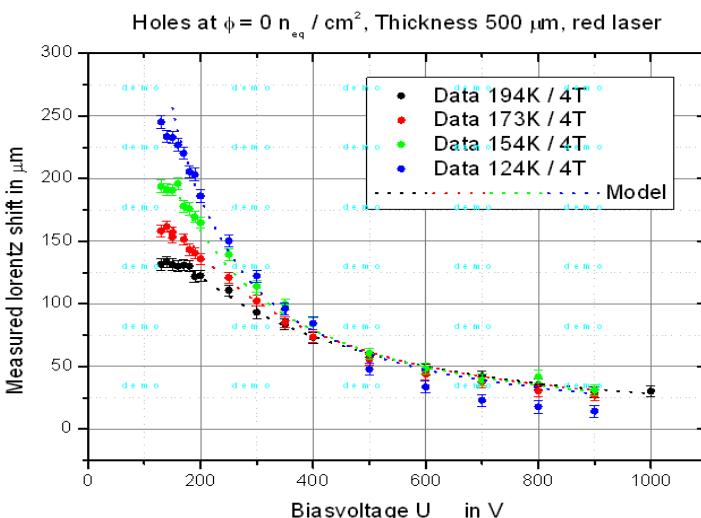
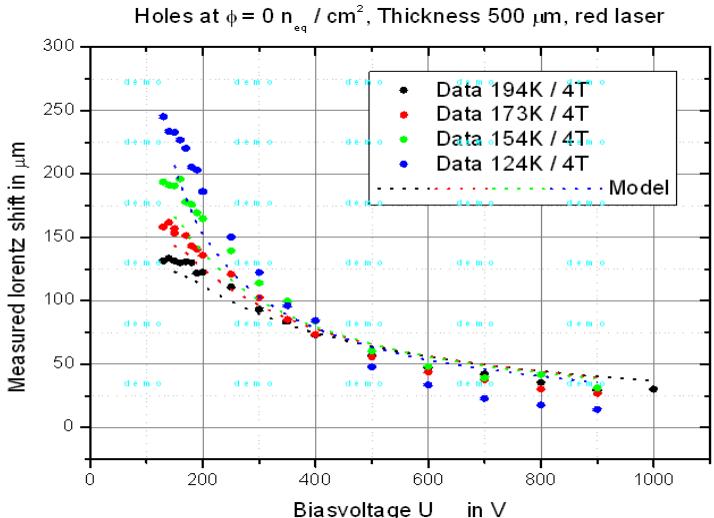
Fit

**NEW**



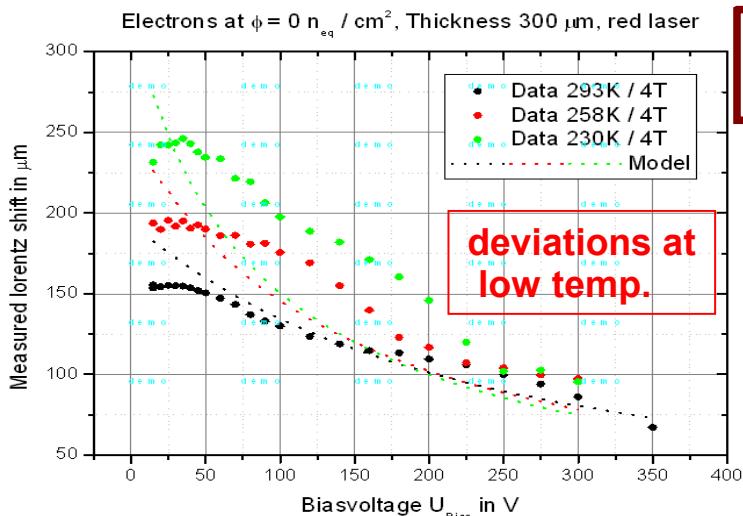
holes

Fit



# Results (2) electrons n-in-p (float zone)

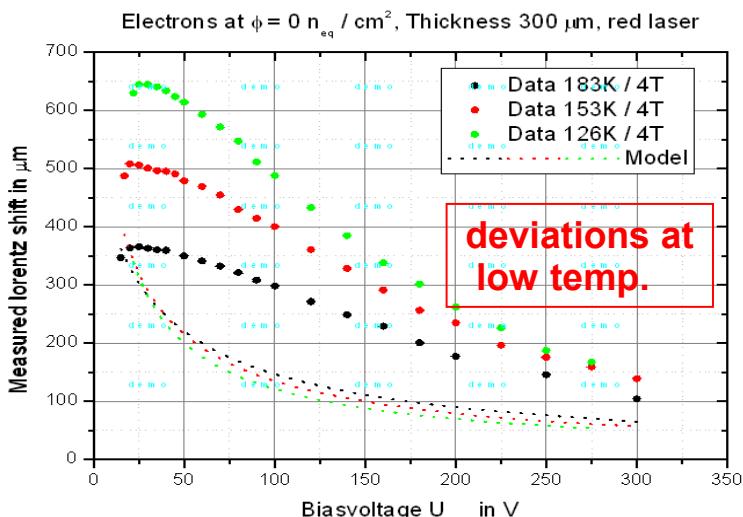
**OLD**



**NEW**

$$\chi^2/NDF = 0.5$$

Fit



electrons

Fit

