

# Magnetic Microscopy for Magnetic Relaxation in RE-123 Coated Conductor with DC Transport Current and External Magnetic Field

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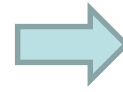
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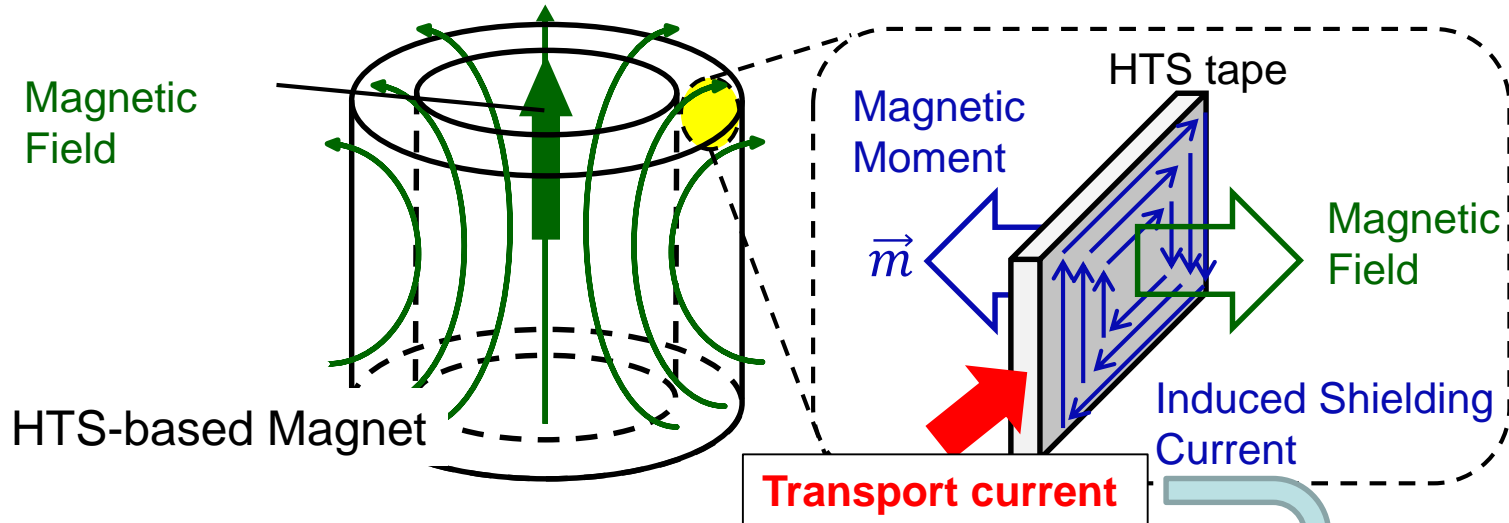
# Introduction

## HTS tapes

- Reduce cooling cost
- Improve high magnetic field



Magnet applications  
(MRI/NMR)



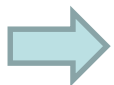
## Significant problems

- Large magnetization induced in the tape strand
- Magnetic moment relaxation



Disturb the field

- Spatial homogeneity
- Temporal stability



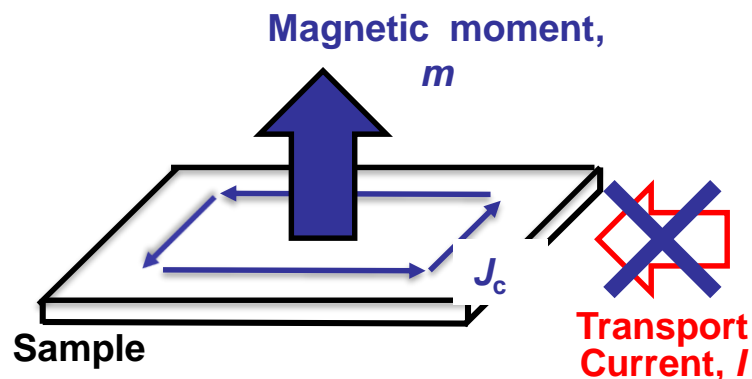
Understanding of magnetization properties is important issue

# Magnetization Measurement

## General method(MPMS)

Global measurement

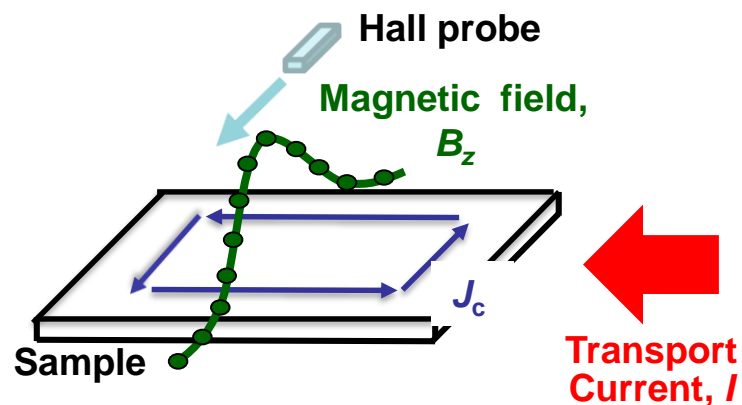
× Current influences



## Magnetic microscopy(SHPM)

Spatially resolved measurement

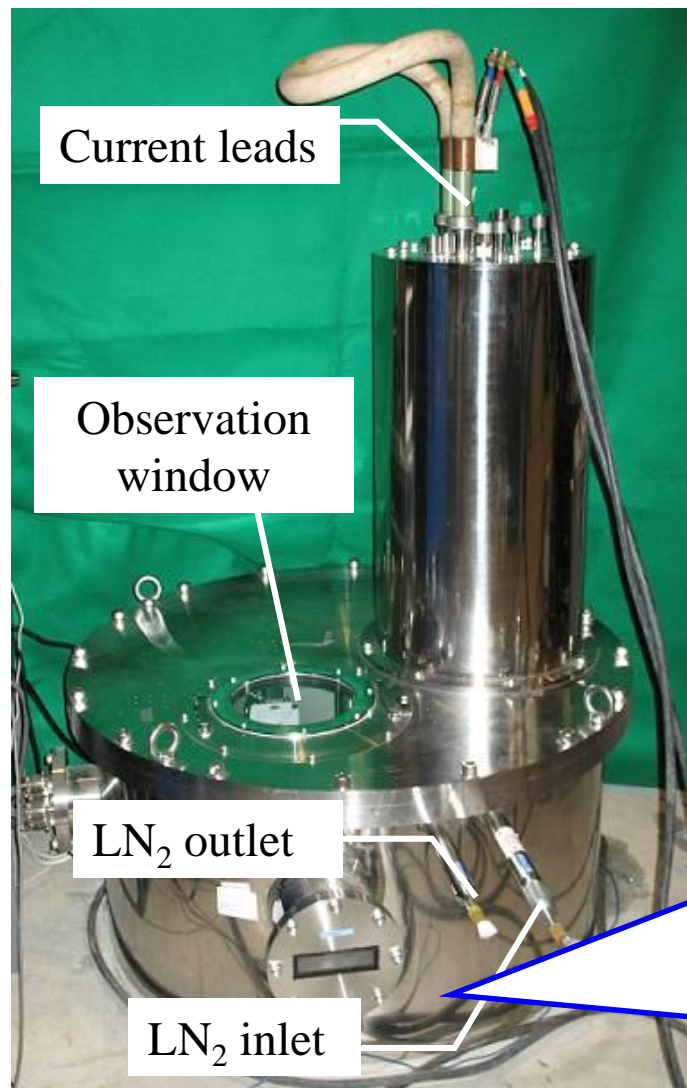
○ Current influences



## Objectives

- Visualize the magnetization behavior including current influences
- Investigate the magnetic relaxation characteristics
  - ✓ Compare the local  $E$ - $J$  properties for different current
  - ✓ Characterize the current and time dependence of magnetic moment

# Scanning Hall-probe Microscopy (SHPM)



External magnetic field:  $< 120$  mT

Transport current:  $< 500$  A

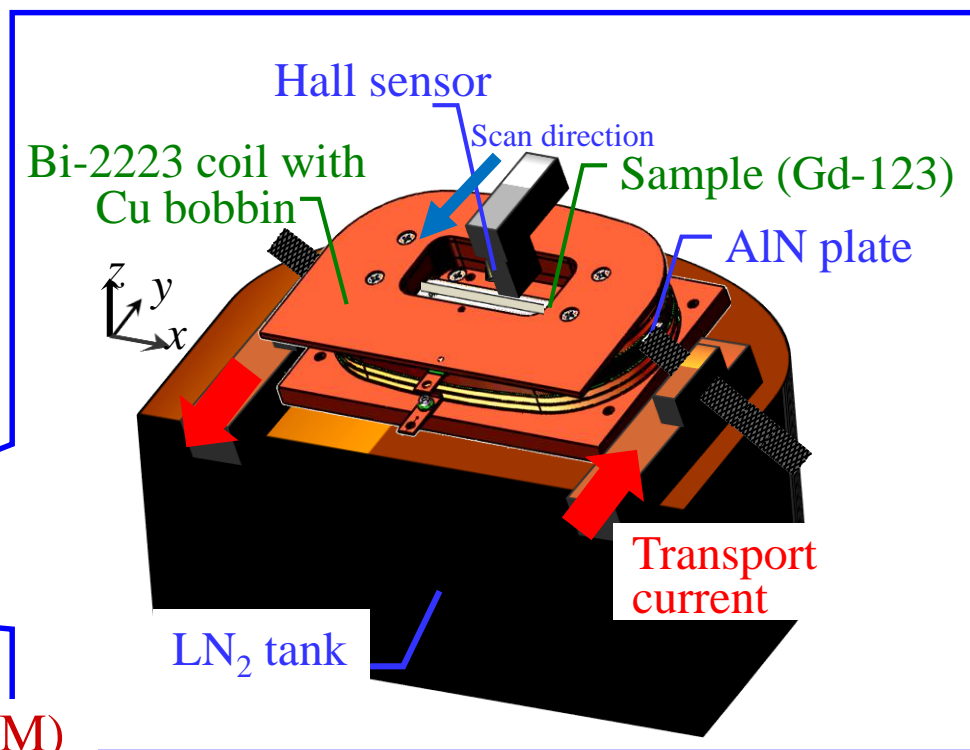
Typical stage temperature:  $79$  K

Active area of Hall sensor:  $50$  mm square

Spatial step:  $1$  mm in  $x$ ,  $y$ ,  $0.25$  mm in  $z$

Sample:  $\text{Gd-123 CC}$  (width:  $5$  mm)

$I_c$  at  $10^{-4}$  V/m:  $84$  A



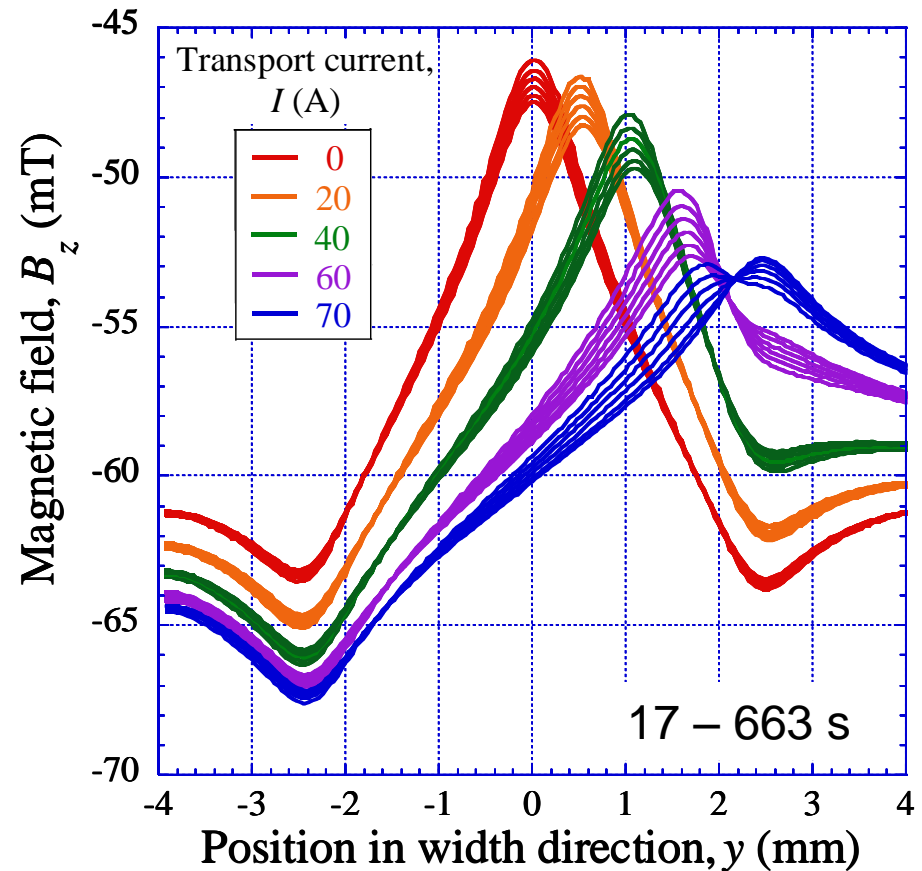
Scanning Hall-probe microscopy (SHPM)

# Magnetic Relaxation Measurement by SHPM

## Experiment Procedure

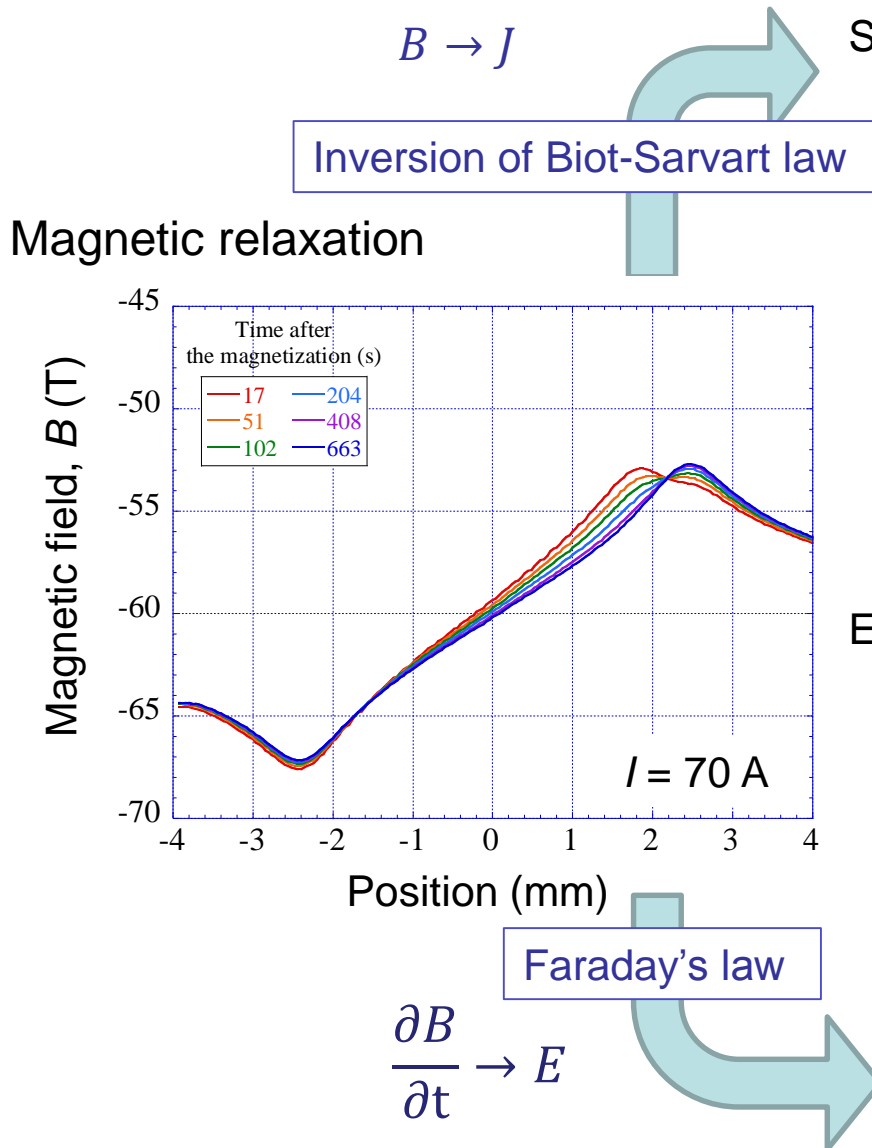
1. Apply transport current to the sample.
2. Apply constant external field (= -60 mT) to the sample and magnetize it.
3. Scan the Hall-probe in width direction of the tape to obtain magnetic field distributions.

Next to other current conditions  
(Transport current:  $I = 0$  to 70 A).

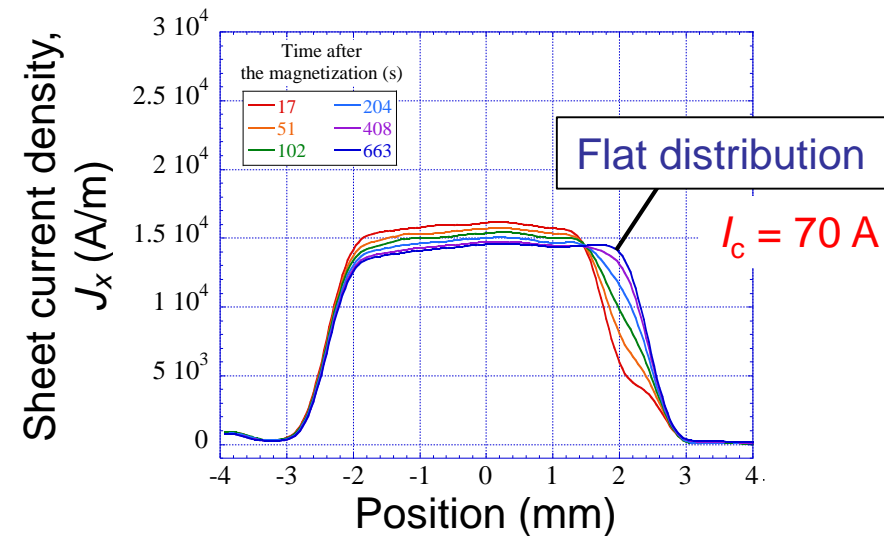


We have successfully measured the current-dependent behavior of magnetization in RE-123 CC

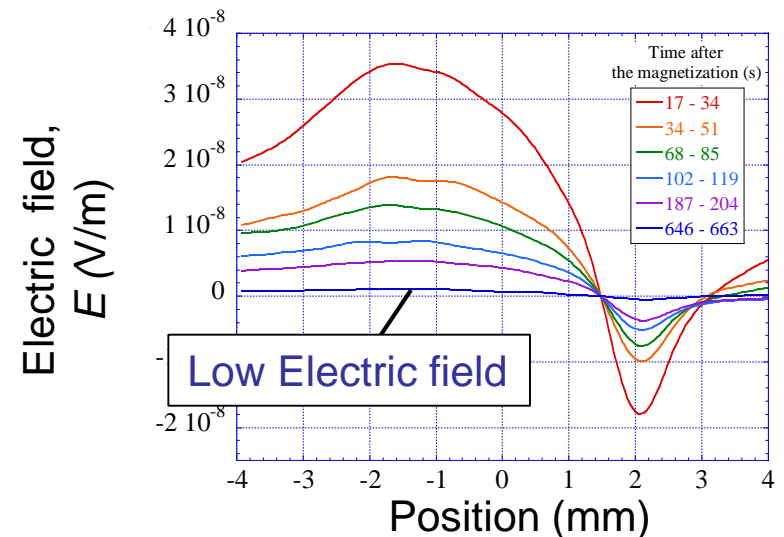
# Magnetic Relaxation properties obtained by SHPM



Sheet current density distribution

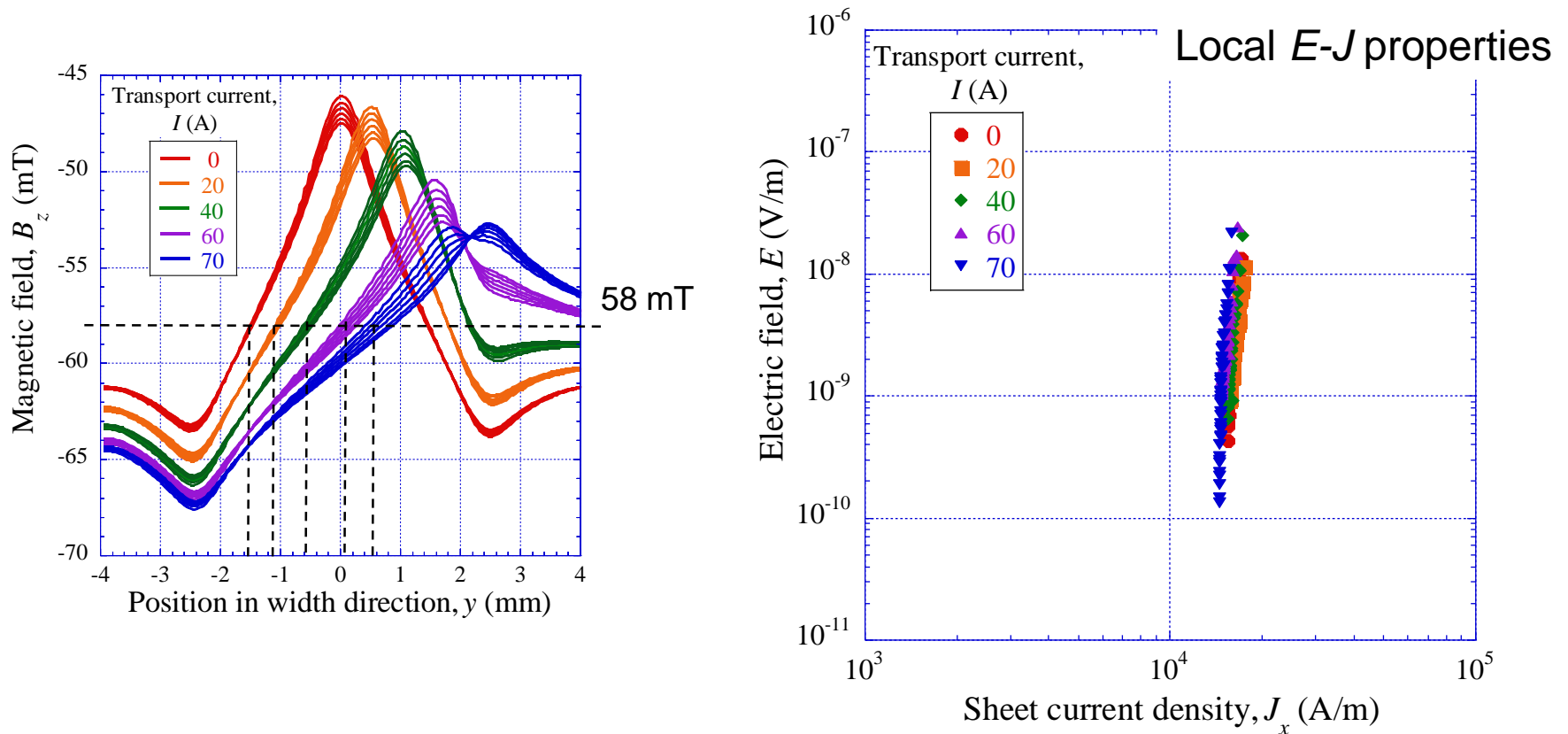


Electric field distribution



# Local $E$ - $J$ properties for different Transport Currents

We extracted local  $E$ - $J$  properties at the same  $B_z$  level (= -58 mT) due to the shift of external field by the self-field of transport current



local  $E$ - $J$  properties were consistent even for different current conditions



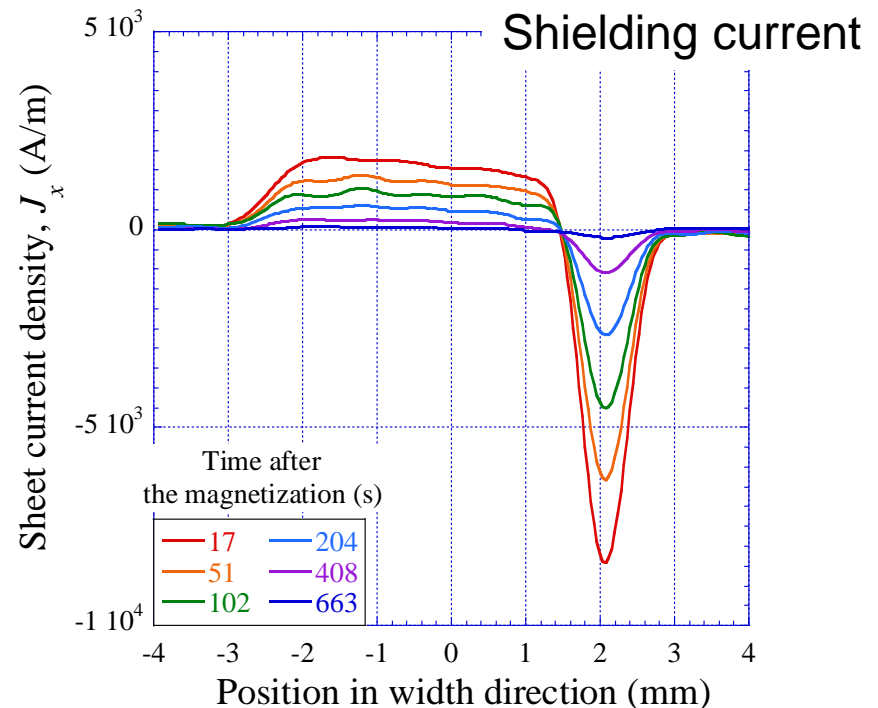
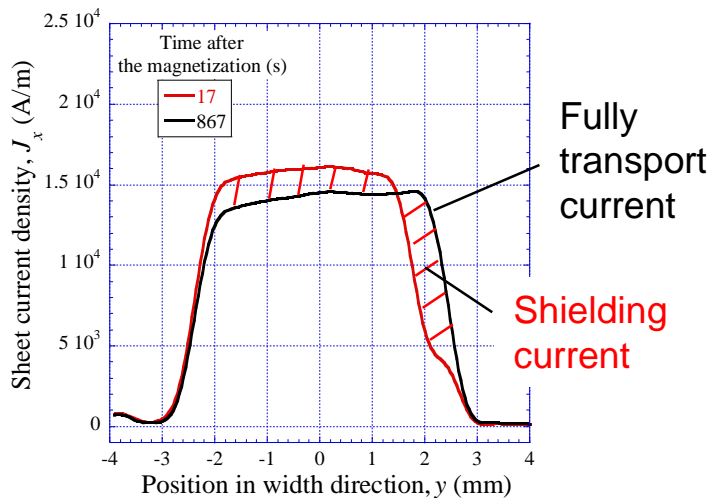
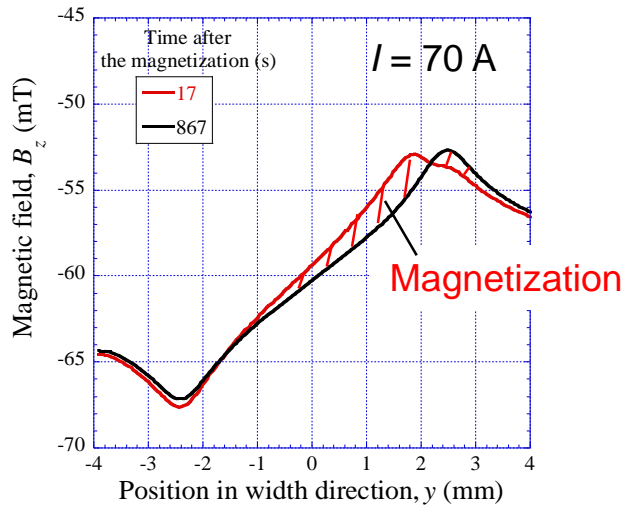
Local properties obey the  $E$ - $J$  properties of RE-123 CC

# Extraction of Shielding Current

Difference between the  $B_z$  distributions

= Magnetization

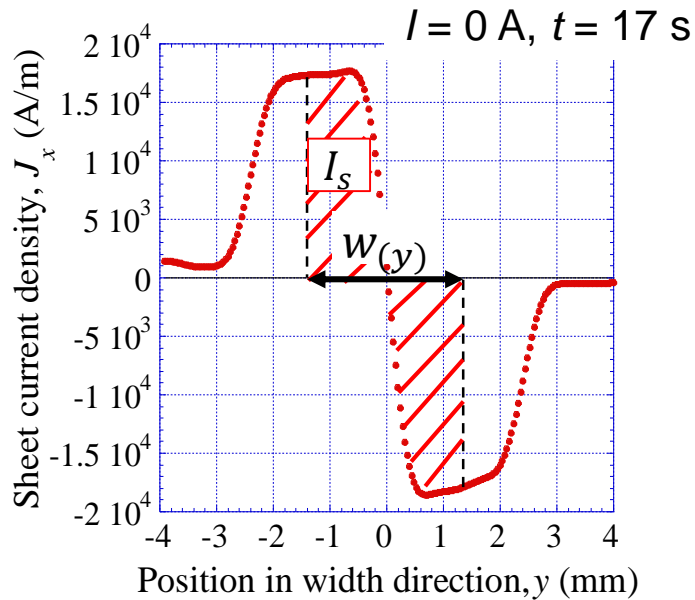
Shielding current can be extracted



Magnetic moment can be determined by integration of the distribution.

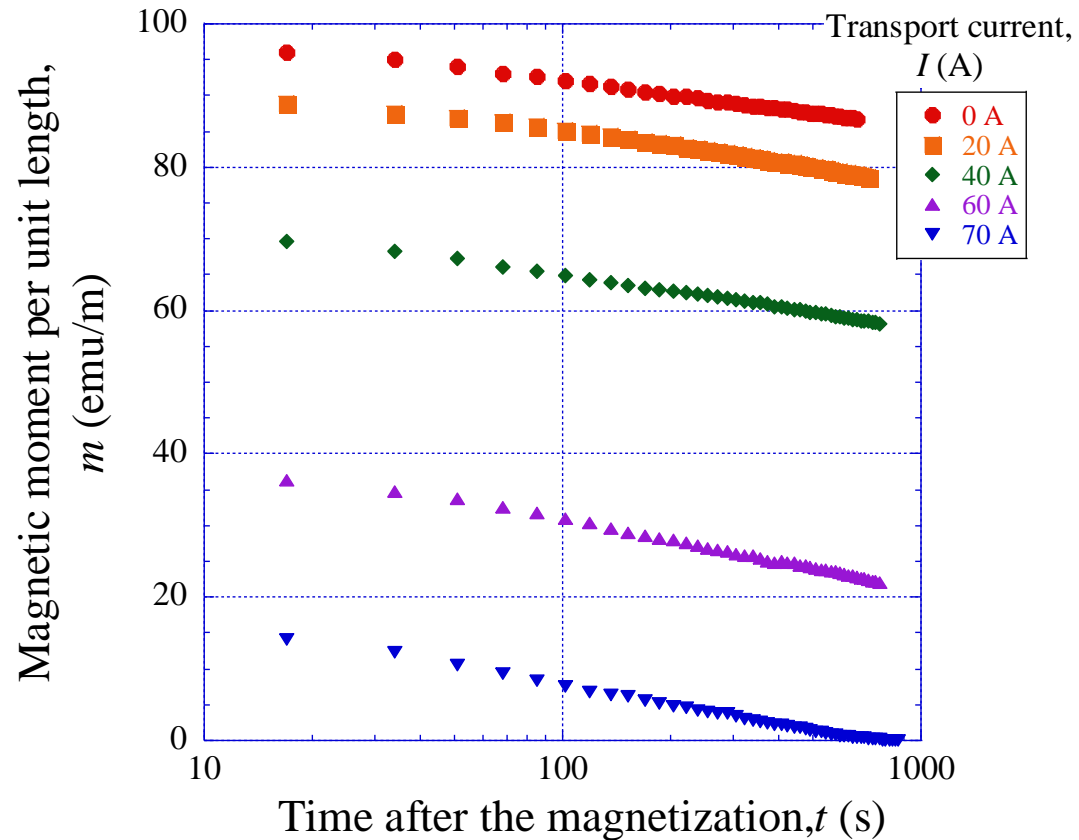


# Time Dependence of Magnetic Moment



Magnetic moment per unit length

$$m = \sum_{I_s} J_x dy w(y)$$

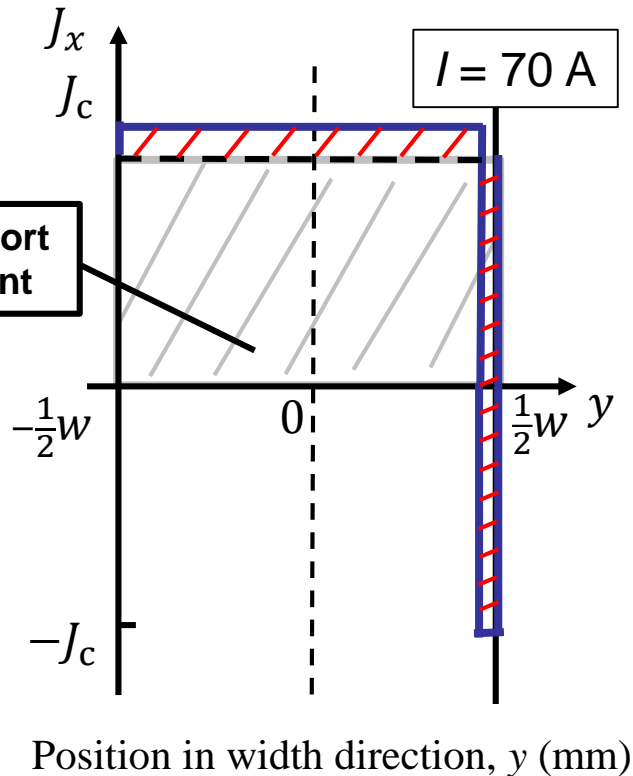


Magnetic relaxation  $\propto \log t$   $\Rightarrow$  Flux creep

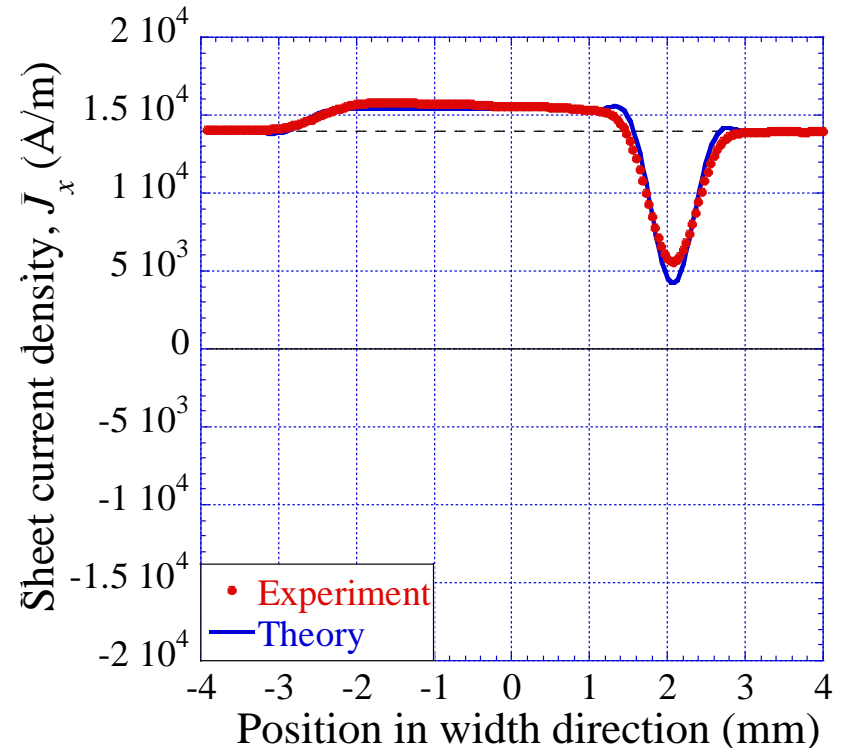
Transport current  $\uparrow$   $\Rightarrow$  Magnetization  $\downarrow$

# Current Estimation based on CSM

Critical State Model



Experiment + Model ( $t = 17$  s)



When magnetized until the flux full penetration,  
Assume “transport current = uniform NC current”,



Current dependence of magnetization can be modeled

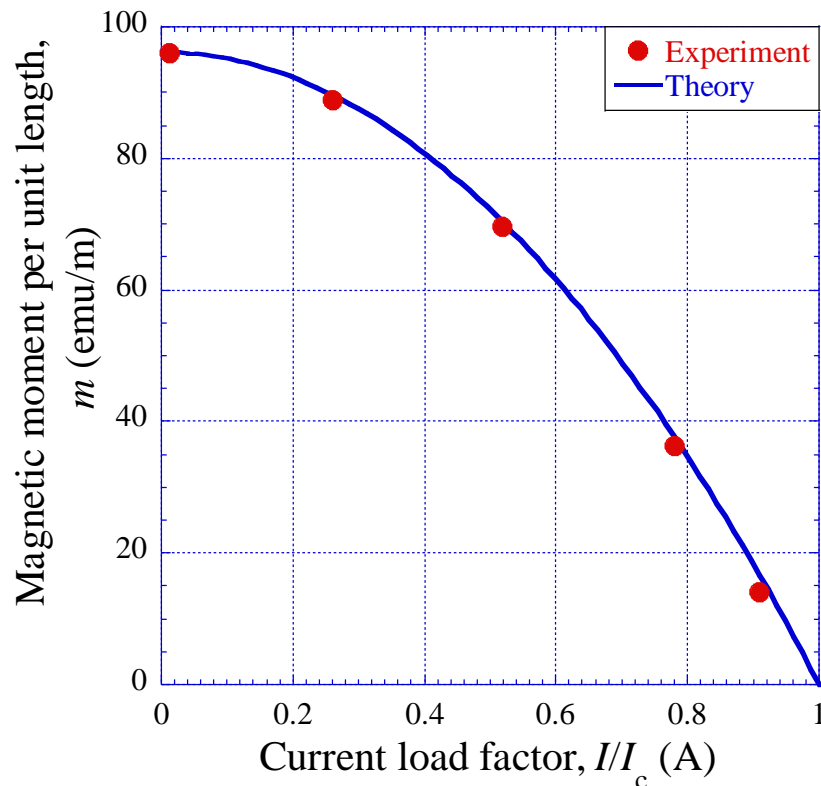
# Current Dependence of Magnetic Moment

From the current estimation,  
Theoretical equation of magnetic moment is derived as follows,

$$m = m_c \left\{ 1 - \left( \frac{I}{I_c} \right)^2 \right\}$$

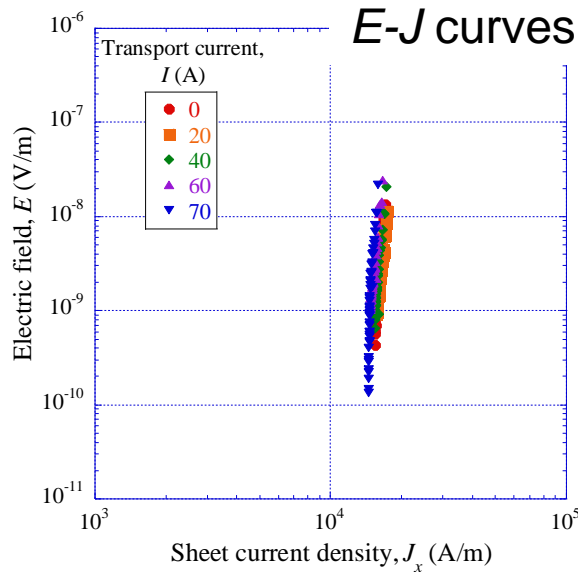
Fitting to  $m_c = m_{I=0}$ ,  
Model curve of current dependence  
of magnetic moment can be described.

Experimental data and Model curve  
were agreed well to the high current load.



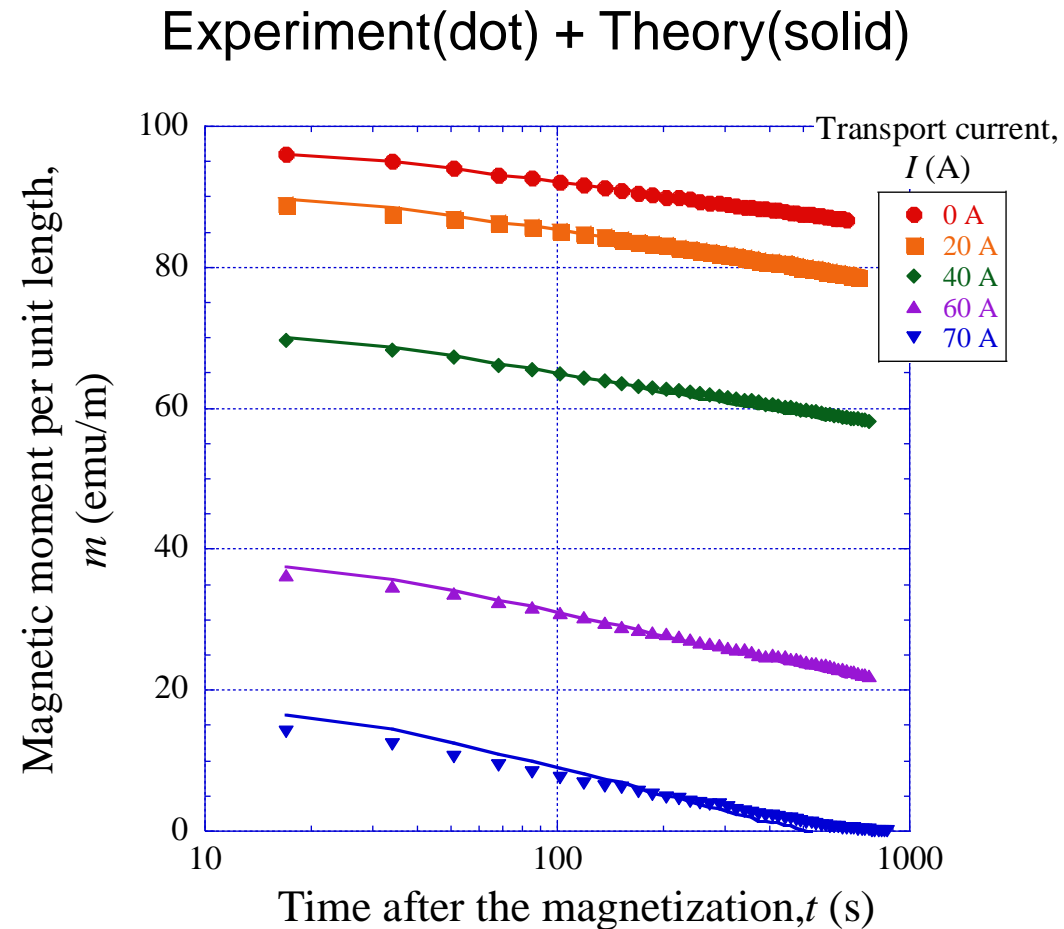
Succeeded in Modeling the Magnetization in RE-123 CC,  
when both transport current and external field are applied.

# Characterization of Magnetic Relaxation



Relaxation =  $E$  dropping

➡ Temporal decay of  $I_c$



Magnetic relaxation characteristics can be modeled by inserting a time term in the current,  $I_c(t)$ .

# Conclusion

We done a local measurement of magnetization properties in RE-123 CC with both transport current and external magnetic field applied,

- ✓ Successfully visualized the current-dependent behavior of magnetization
  - ➡ Current dependence of magnetization can be expressed by CSM
- ✓ Local properties just obeyed the  $E$ - $J$  properties of RE-123 CC
- ✓ Magnetic relaxation is caused by the flux creep even apply the currents
  - ➡ Relaxation properties can be modeled with time function,  $I_c(t)$

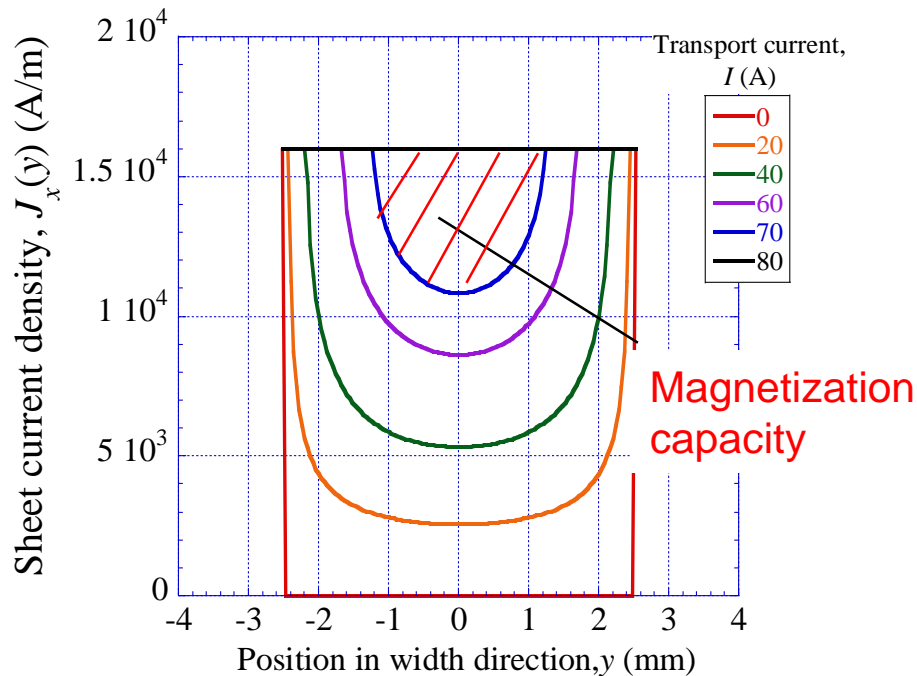
Succeeded in modeling the magnetization characteristics

➡ Effective feedback on design of magnet applications

These findings could be obtained only by a local measurement

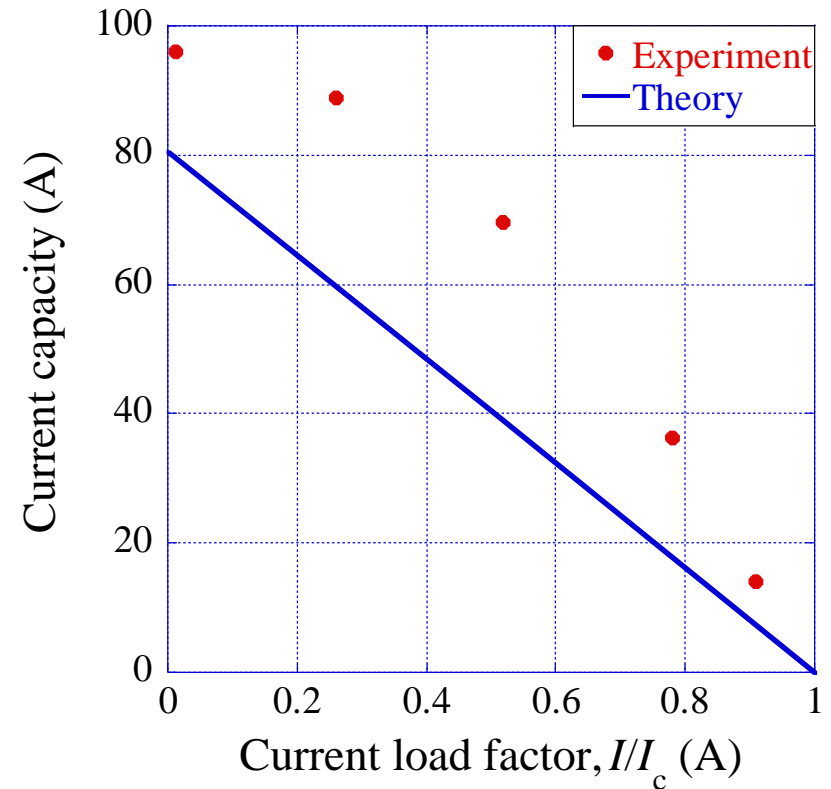
# Current Penetration & Magnetization based on CSM

## Current distribution

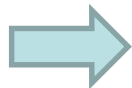


\*"Type-II-superconductor strip with current in a perpendicular magnetic field",  
E. H. Brandt, 1993

## Magnetic moment



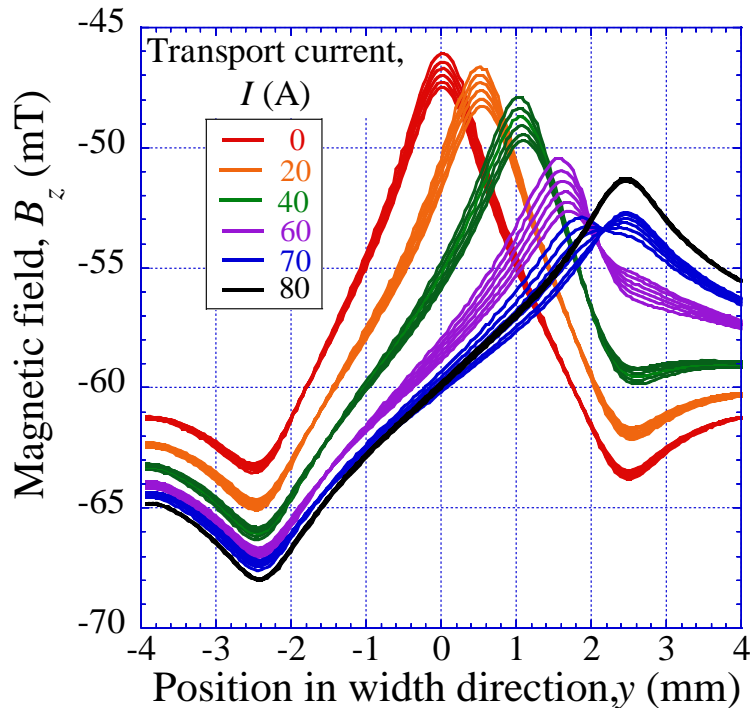
Magnetic moment decreases linearly with respect to current load



Disagree with experimental result

# Including 80 A Measurement

## Magnetic field

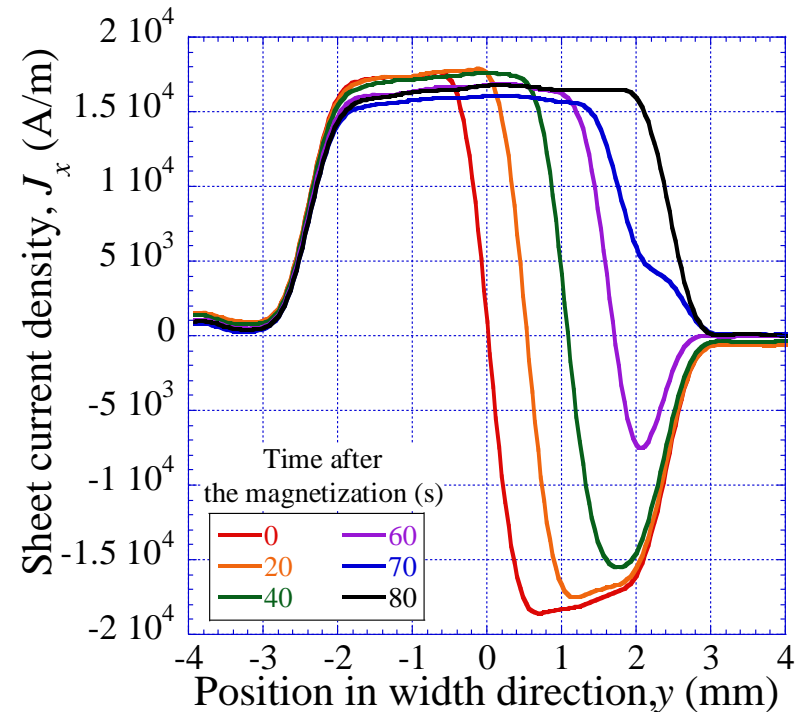


No relaxation in 80 A



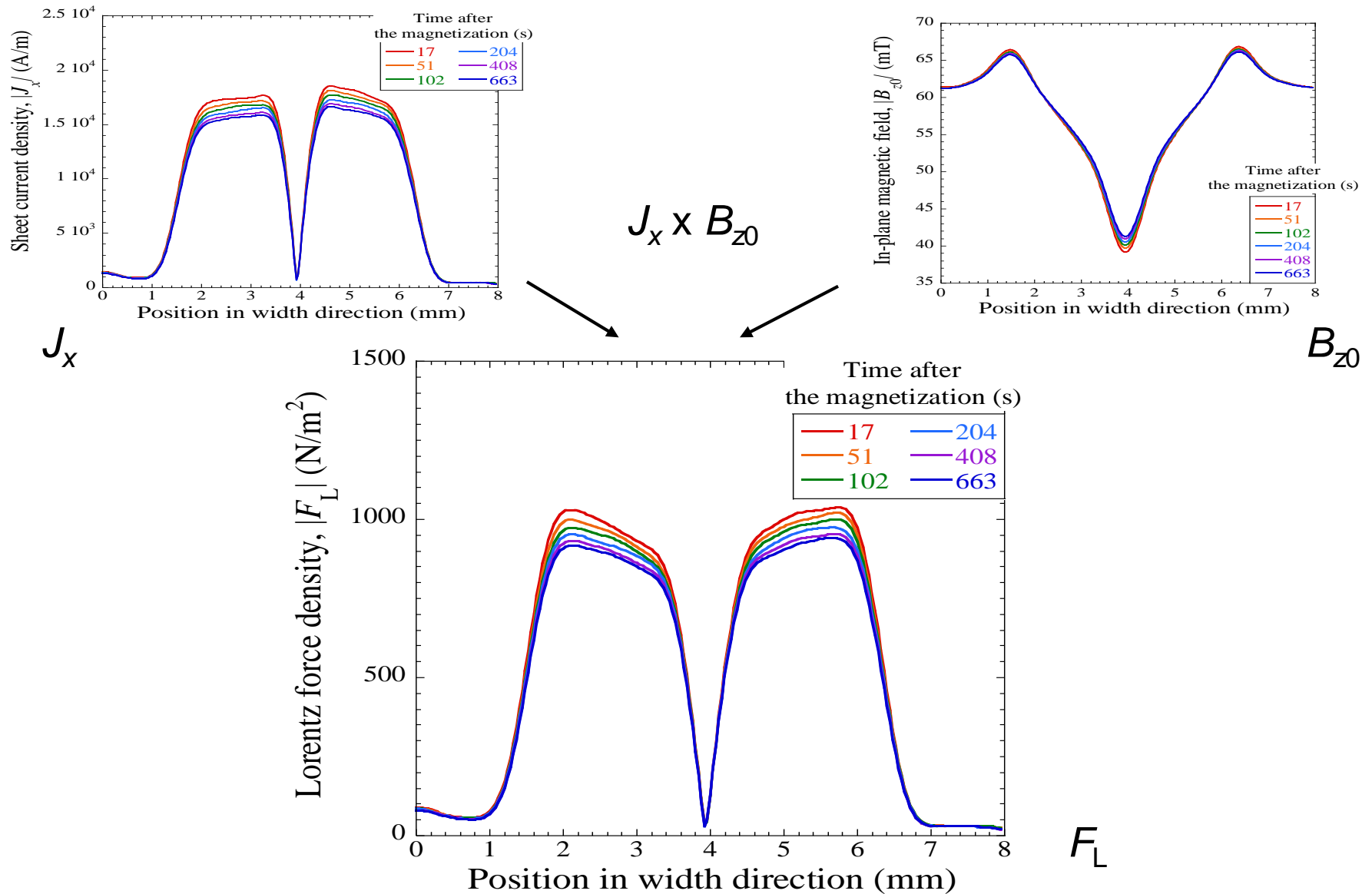
High  $E$  region dominated by resistive component

## Current density



$J_x$  over 1<sup>st</sup> data of 70A

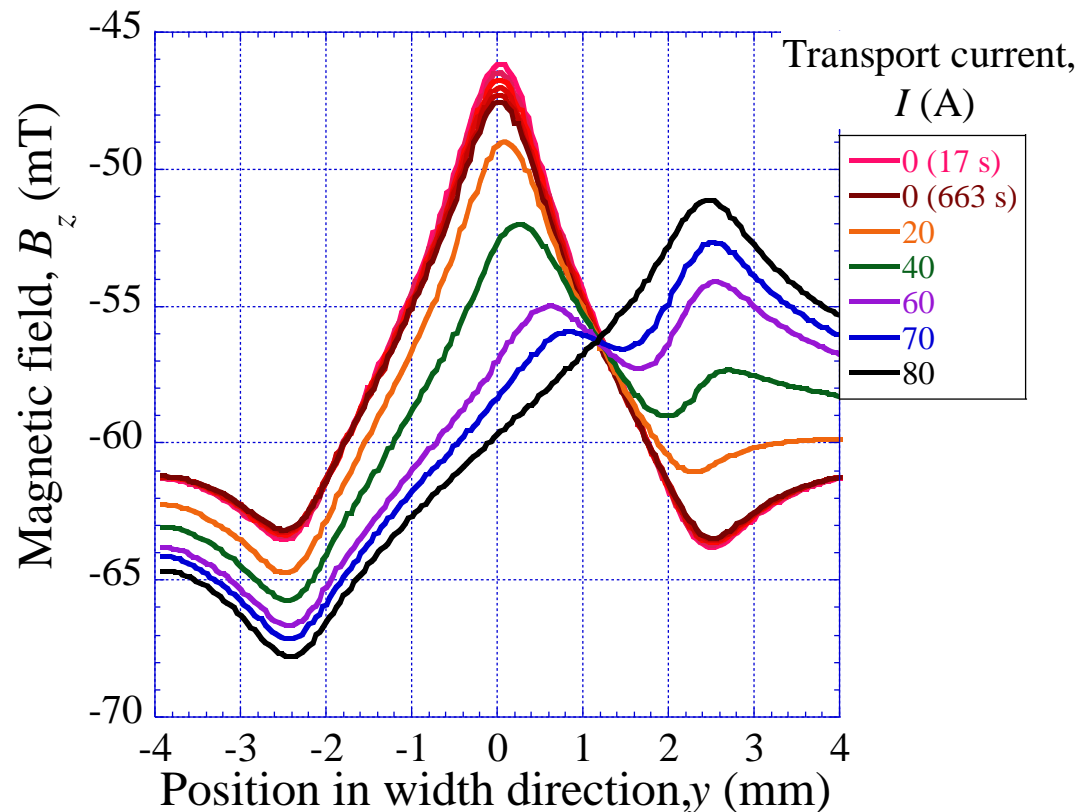
# Lorentz force density





# 1<sup>st</sup> Magnetize → 2<sup>nd</sup> Energize Measurement

After the 0 A relaxation measurement, increased the current up to 80 A



Historical characteristics can be seen

# Time dependence of magnetic moments

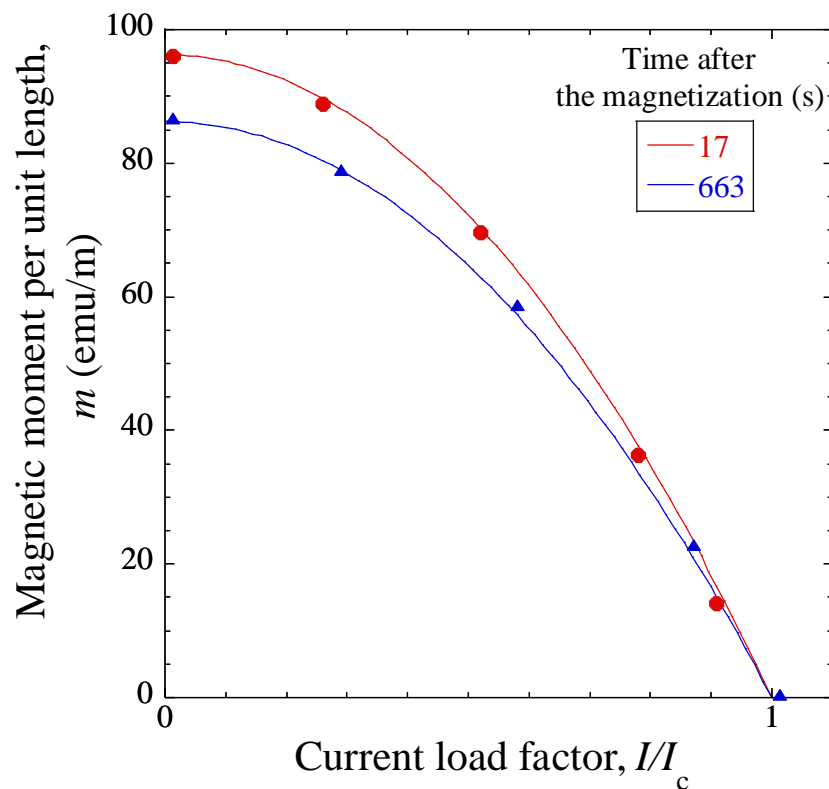
Even if sufficient time passed,  
the experimental and the theoretical moments  
were in good agreement.



Magnetization characteristics of RE-123 CC  
can be estimated based on CSM,  
even though  $J_c$  has time dependence  
caused by flux creep.

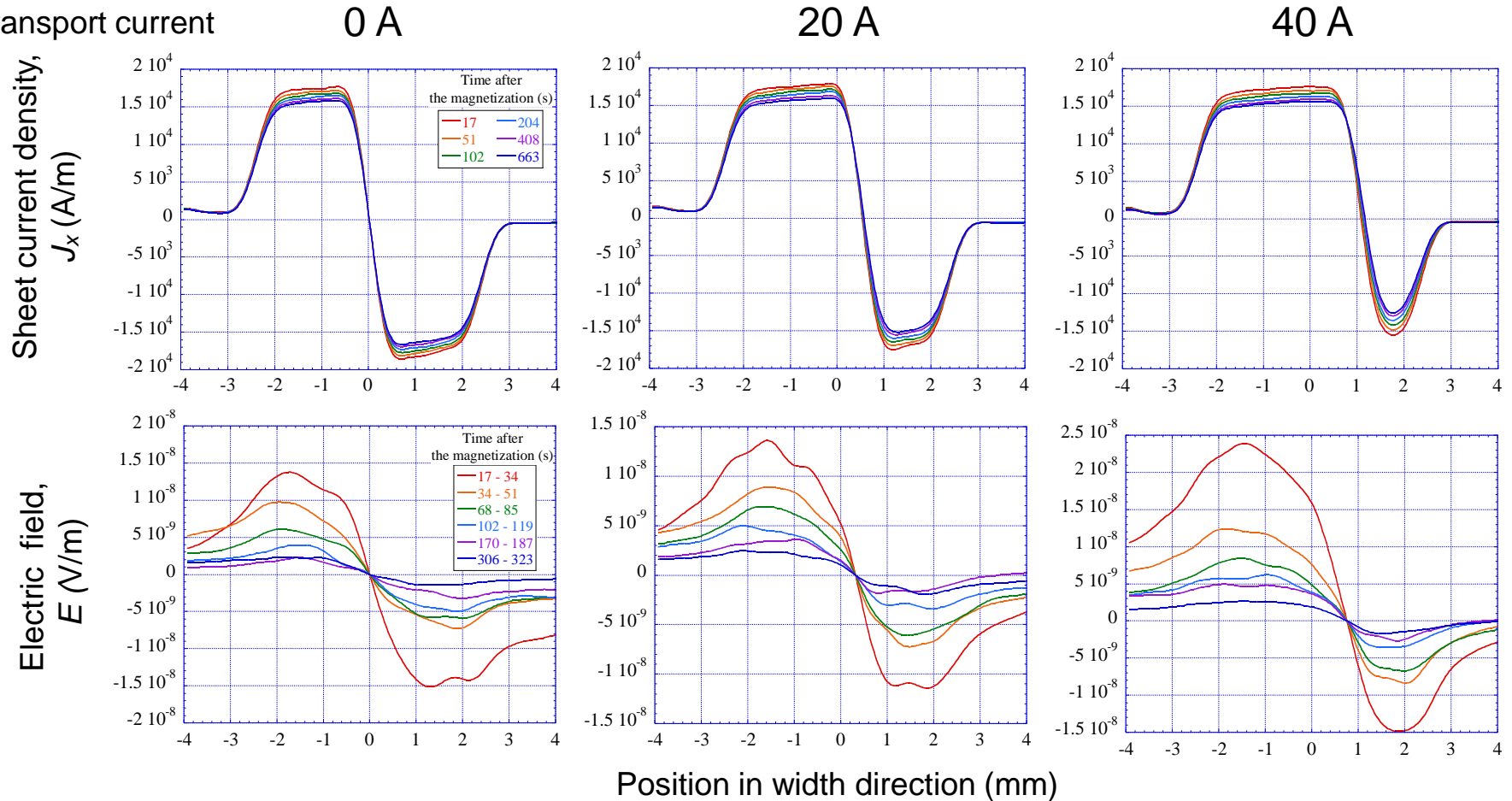
The Estimated  $I_c$  based on CSM,

$$I_c = \begin{cases} 77 \text{ A} & (t = 17 \text{ s}) \\ 69 \text{ A} & (t = 663 \text{ s}) \end{cases}$$



These are reasonable considering the difference in electric field criterion.  
( 4-probe method:  $E_c = 10^{-4}$  V/m, SHPM:  $E_c \sim 10^{-8}$  V/m )

# $J_x$ and $E$ distributions with $I = 0, 20, 40$ A



- Magnetization capacity became smaller due to the increase of transport current
- Peak values of  $J_x$  distributions do not depend on the currents



Magnetization properties follow the Critical State Model ( $J_x = \pm J_c$ )

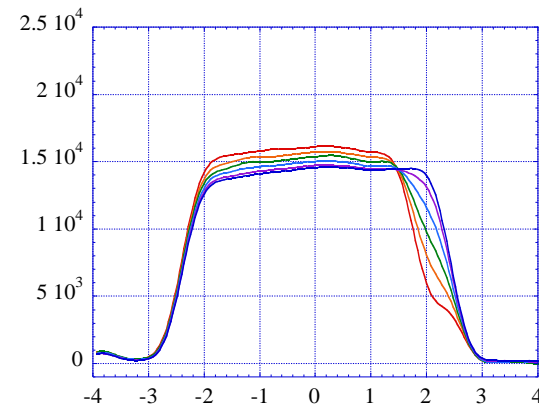
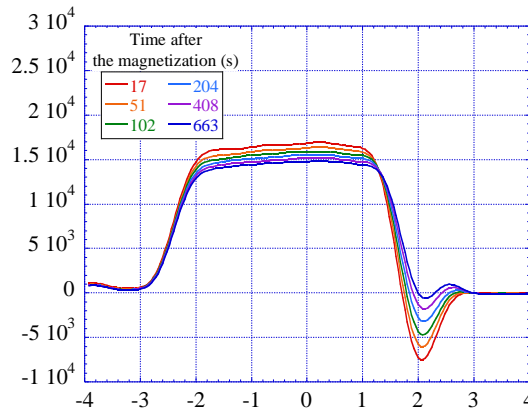
# $J_x$ and $E$ distributions with $I = 60, 70$ A

Transport current

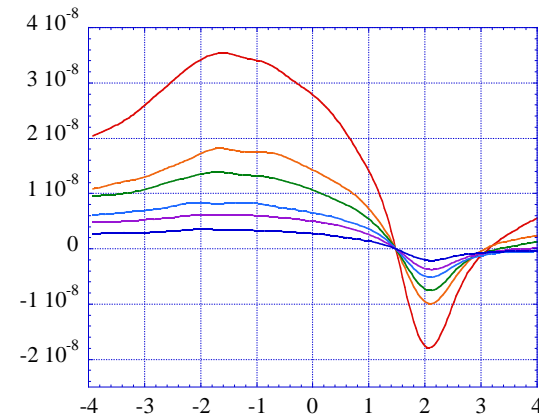
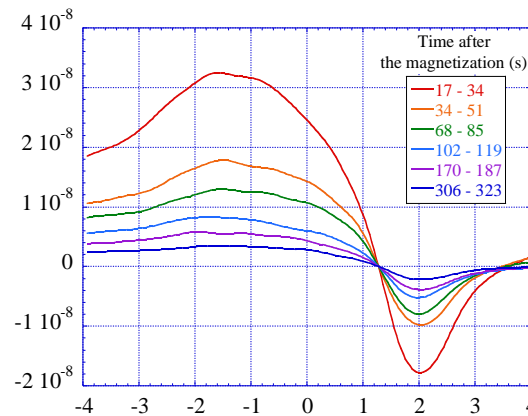
60 A

70 A

Sheet current density,  
 $J_x$  (A/m)



Electric field,  
 $E$  (V/m)



Position in width direction (mm)

At 663 s in  $J_x$  with 70 A can be seen flat distribution that indicates the end of the relaxation



$I_c$  became 70 A at low  $E$

Succeeded in visualization of complicated behavior of the magnetic relaxation