

Miniaturized Multi-Band HTS Bandpass Filter Design Using Single Perturbed Multimode Resonator with Multi-Transmission Zeros

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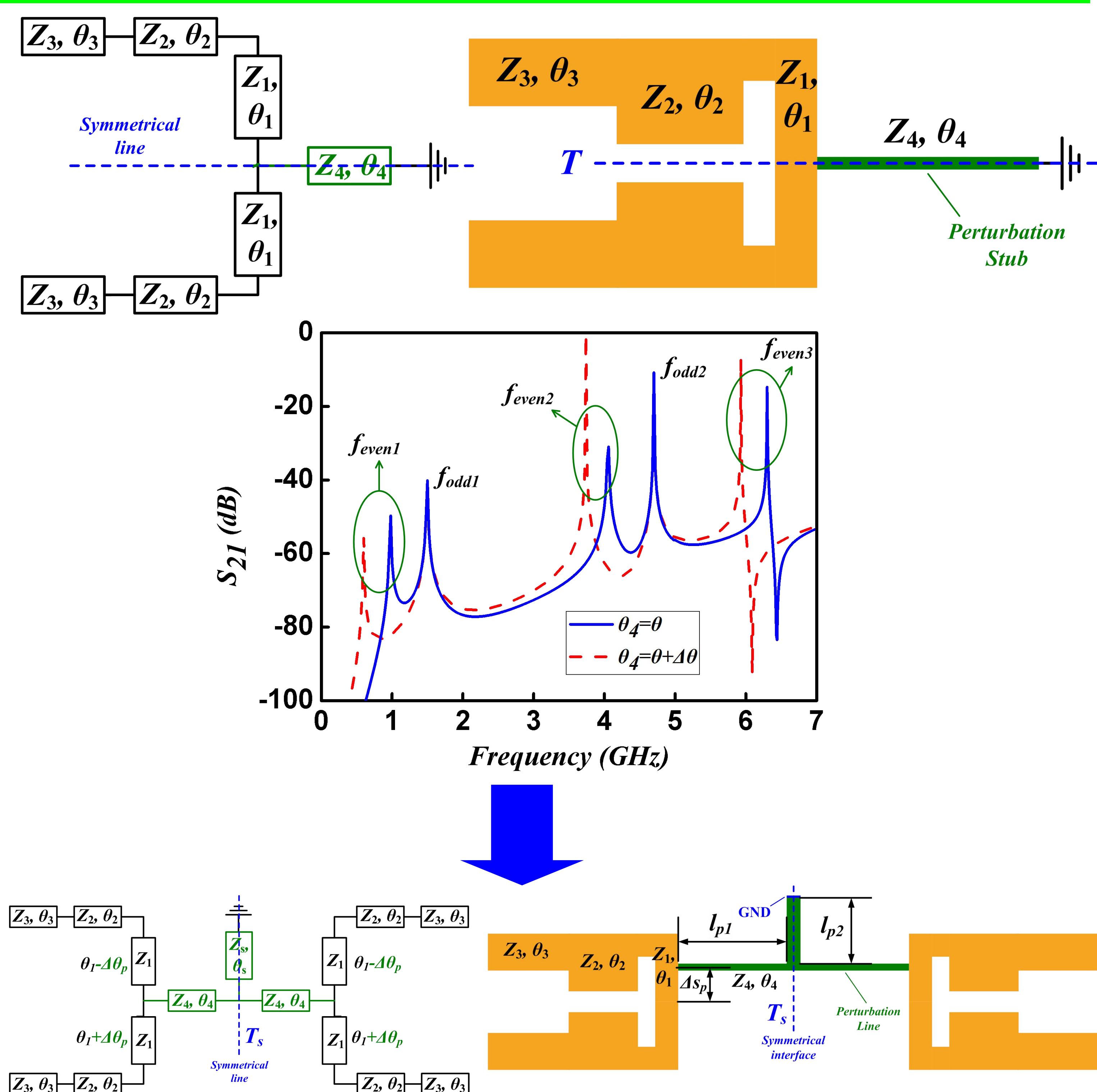
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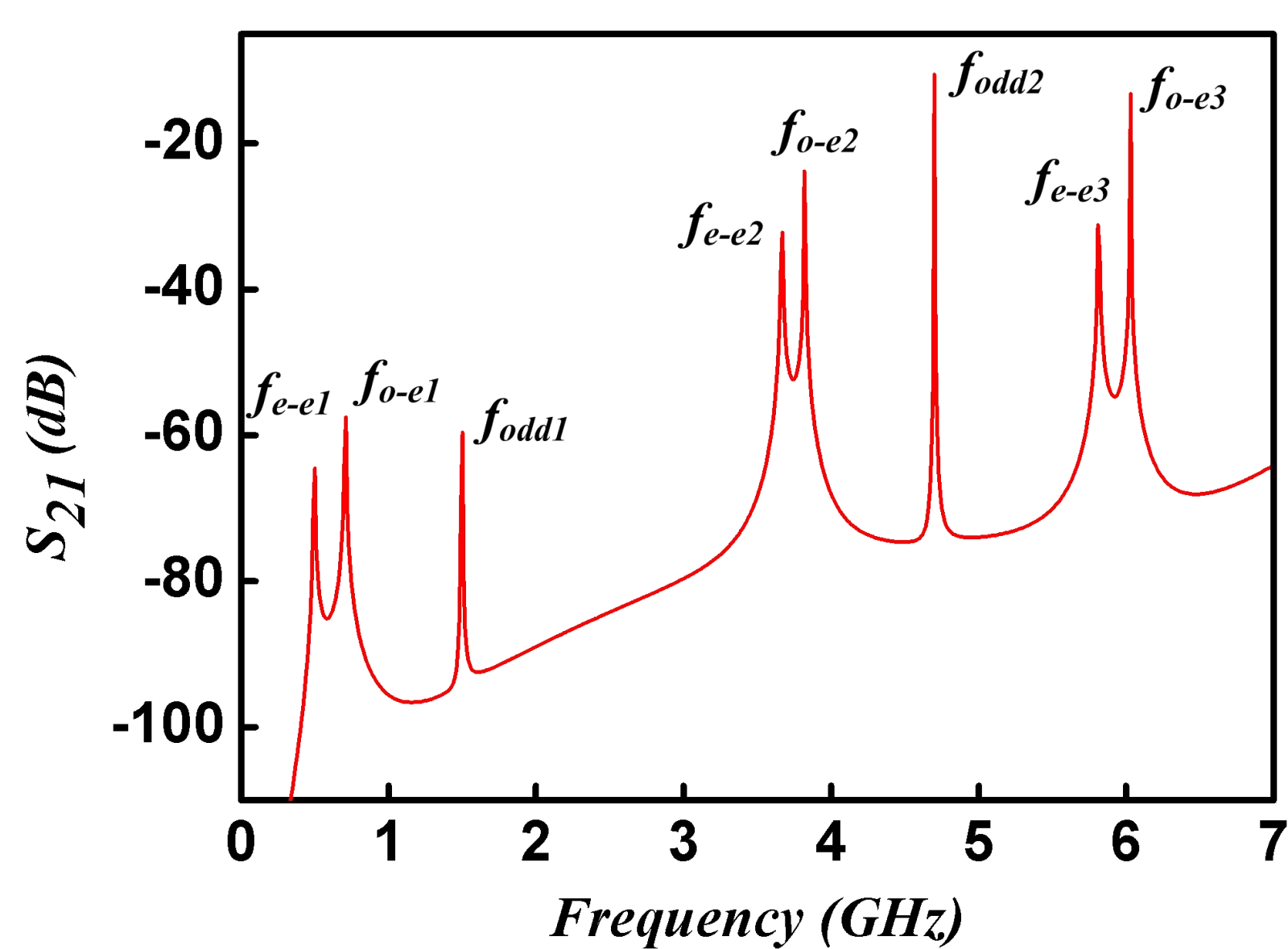
Abstract: Bandpass filters (BPFs) with miniature size, low insertion loss and multi-band operation are in great demand for modern multi-service radar and communication systems. A miniaturized quint-band HTS bandpass filter (BPF) based on a single perturbed multi-mode resonator (PMMR) is presented in this section. By properly adjusting the lengths and position of the perturbation line in PMMR, the intrinsic resonance modes can be controlled, which is advantageous for multi-band design. Source-load (S-L) coupling, spurlines, and matching stubs on feedlines are introduced to improve impedance matching and generate multi-transmission zeros(TZs), so that enhanced isolation and harmonics suppression can be realized. Low insertion loss within each band is obtained by using high-temperature superconducting (HTS) technology. The filter is fabricated on MgO substrate with YBCO thin films, and measured at the temperature of 77 K. The passband measurement is consistent with the simulation, which verifies five passbands located at 0.56GHz, 1.52GHz, 3.8GHz, 4.7GHz, and 5.3GHz respectively. The corresponding minimum insertion losses are 0.01, 0.2, 0.2, 0.05, and 0.15dB. The proposed HTS BPF owns the great merits of simple structure, miniature size ($0.008\lambda_g^2$), wide upper stopband, and low insertion loss.

Key Words: Quint-band, perturbed multi-mode resonator (PMMR), miniaturization, multi-transmission zeros, HTS.

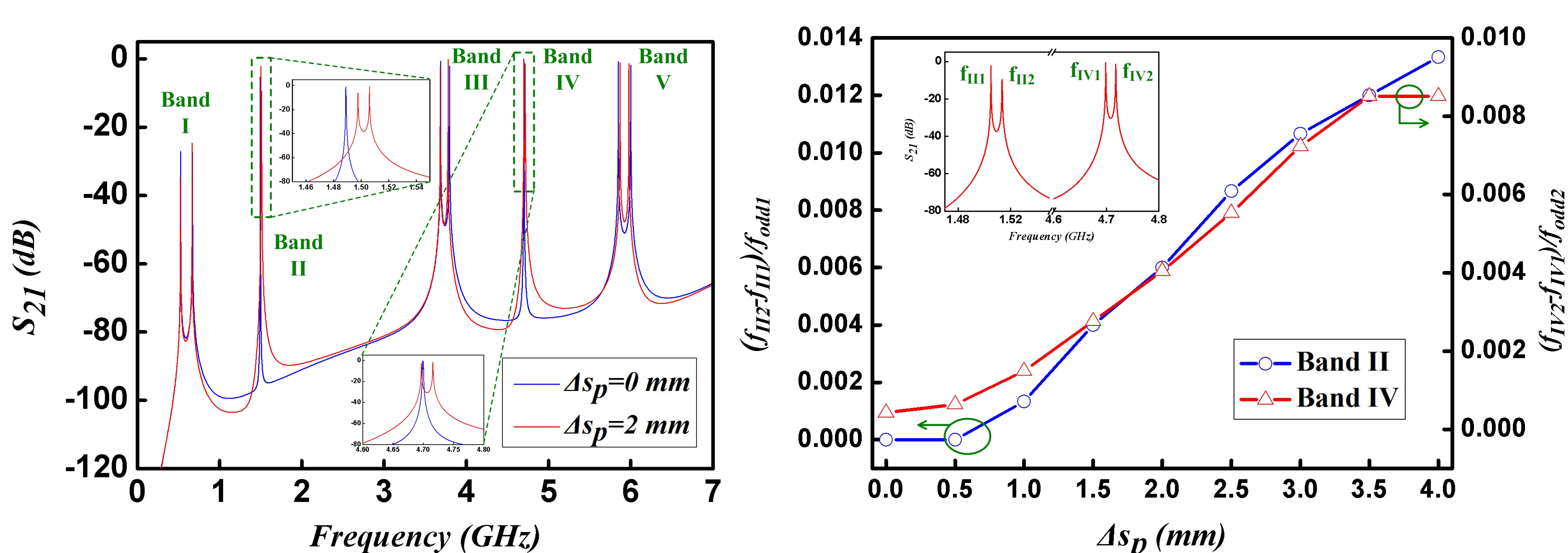
Resonator Analysis



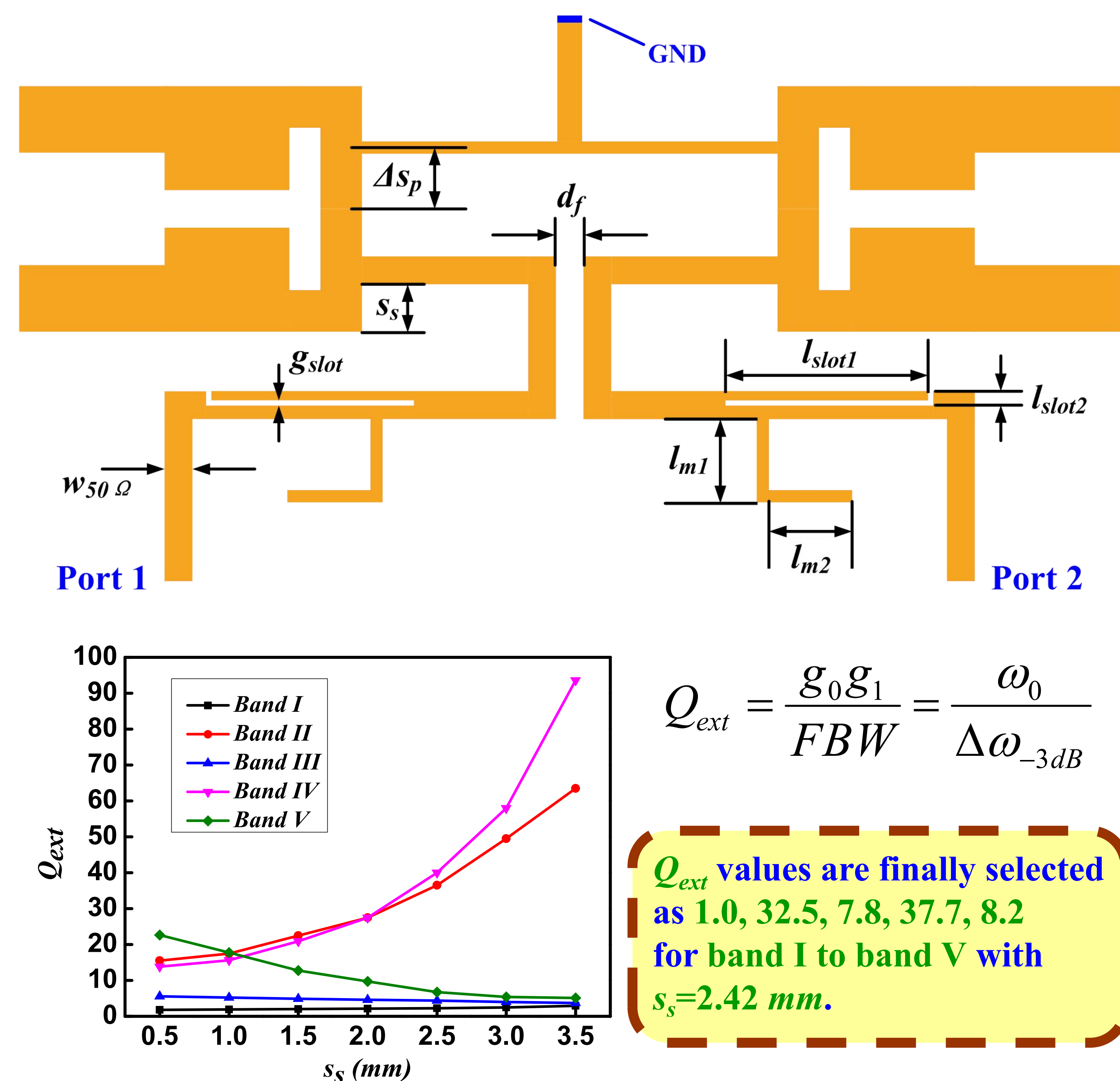
$\Delta\theta_p = 0$ ($\Delta s_p = 0$):



$\Delta\theta_p \neq 0$ ($\Delta s_p \neq 0$):



Filter Design



$$Q_{ext} = \frac{g_0 g_1}{FBW} = \frac{\omega_0}{\Delta\omega_{-3dB}}$$

Fabrication and Results

