

Summary of **Anomalies** in the **B**-sector

Daniel Aloni

Searching for Physics Beyond the Standard Models Using Charged Leptons
COFI, San Juan, Puerto Rico, 24 May 2018

~~Interpreting Hints for Lepton Flavor Universality Violation~~

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Summary of **Anomalies** in the **B**-sector from a theorist point of view

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Why is it interesting (1) ?

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$$R(D) \quad B_s \rightarrow \mu\mu \quad R(K)$$

$$P'_5 \quad V_{cb} \quad R(D^*) \quad \Lambda_b \rightarrow \Lambda\mu\mu$$

$$R(K^*) \quad B_s \rightarrow \phi\mu\mu$$
$$B \rightarrow K^*\mu\mu$$

$$B \rightarrow K\mu\mu \quad R(J/\psi)$$

Why is it interesting (1) ?

$R(D)$ maybe σ
 $B_s \rightarrow \mu\mu$

$R(K)$
 3.5σ

V_{cb}

4.1σ P'_5 $(1-3)\sigma$ $R(D^*)$ $\Lambda_b \rightarrow \Lambda\mu\mu$

$R(K^*)$ $B \rightarrow K^*\mu\mu$ $\text{no } \sigma$ $B_s \rightarrow \phi\mu\mu$

0.8σ $B \rightarrow K\mu\mu$ $R(J/\psi)$ $2\sigma\text{ish}$

Why is it interesting (2) ?

Why is it interesting - Belle2!

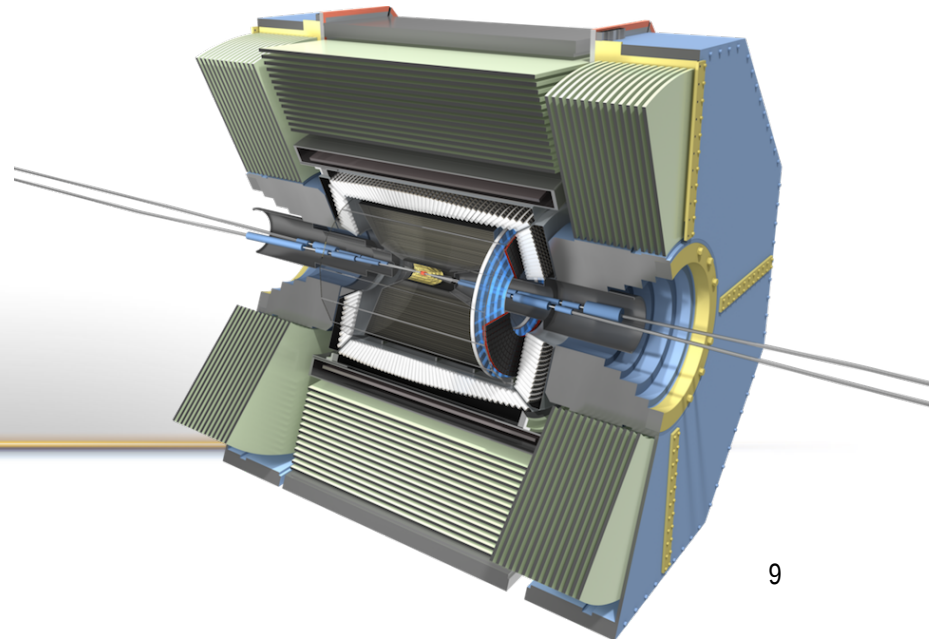
New machine
First collision @ April 26 2018

Webcasted with 460k people watching

\mathcal{O} (once) in a life

Belle 2 is coming

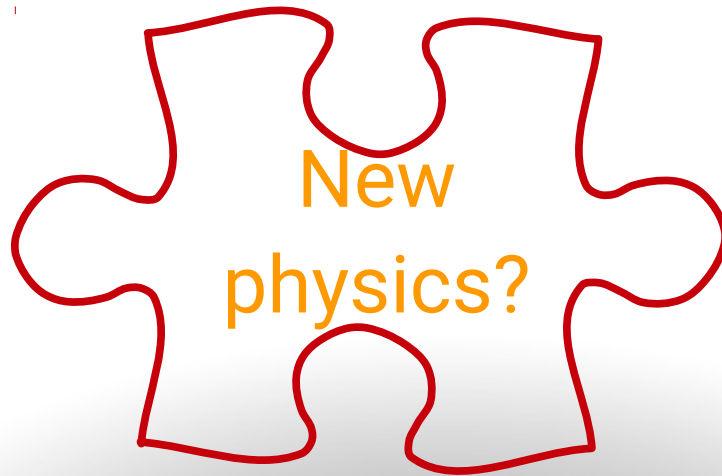
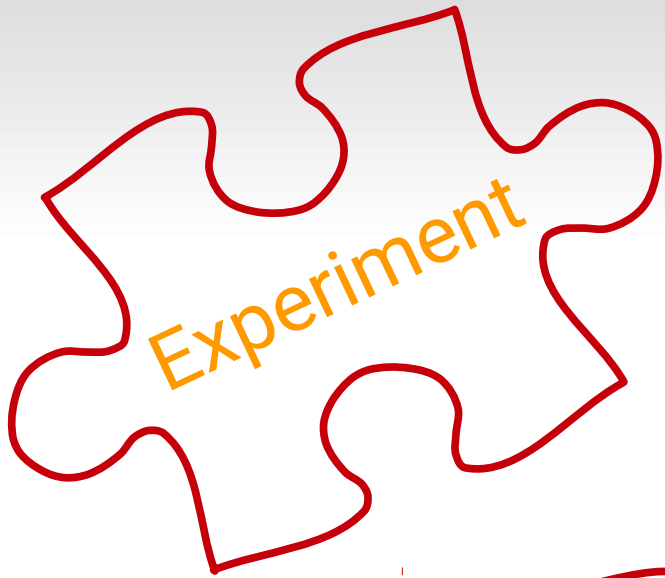
- New e^+e^- asymmetric collider in the market
- Operate mostly at $\sqrt{s} = m_{\Upsilon(4s)}$ (B-factory)
- High luminosity $\sim 1/ab$ per month
- Will study B-physics, flavor physics, CP violation, and more
- We must ask: what else?



Outline

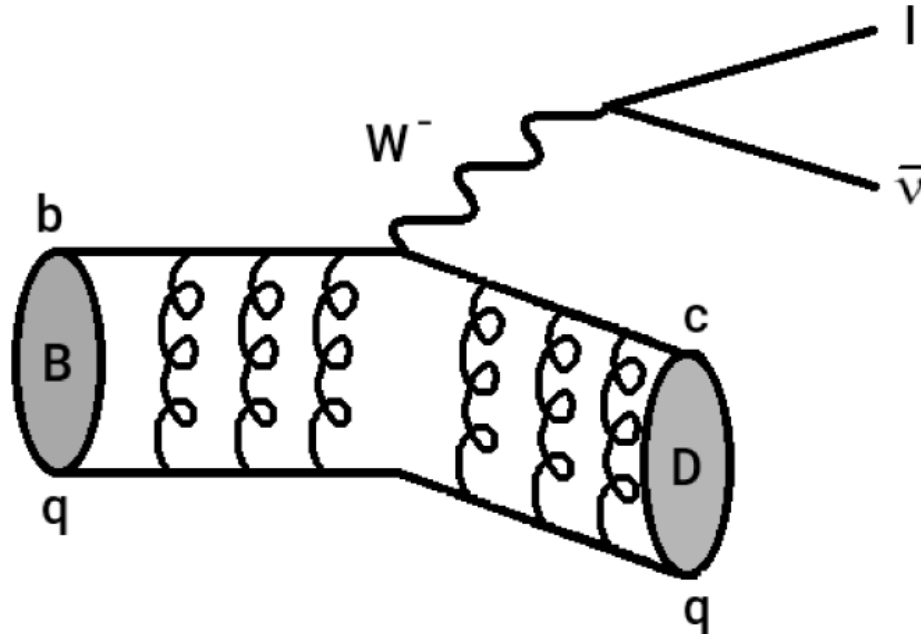
- $R(D^{(*)})$
- $R(K^{(*)})$
- Other anomalies in the B-sector
- Where else to look
- Summary

B mesons are puzzling



What is $R(D^{(*)})$?

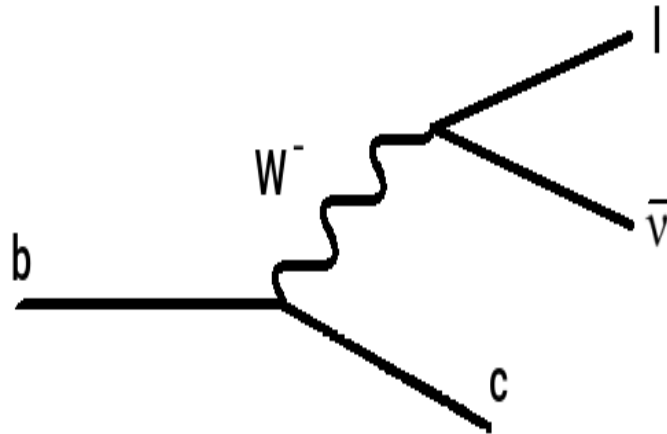
- $R(D^{(*)}) \equiv \frac{BR(B \rightarrow D^{(*)} \tau \bar{\nu})}{BR(B \rightarrow D^{(*)} \ell \bar{\nu})}$, $\ell = \mu, e$



What is $R(D^{(*)})$?

- $R(D^{(*)}) \equiv \frac{BR(B \rightarrow D^{(*)} \tau \bar{\nu})}{BR(B \rightarrow D^{(*)} \ell \bar{\nu})}$, $\ell = \mu, e$

- At the quark level: $b \rightarrow c \tau (\ell) \bar{\nu}$



- SM: $b \rightarrow c \tau (\ell) \bar{\nu}$ transition is mediated by the W boson

The SM prediction

- Can we have any prediction?
- Yes we can!
 - Semileptonic
 - Unknown parameters cancel in the ratio
 - Can systematically expand in the heavy quark limit $m_b, m_c \rightarrow \infty$
 - Electroweak interactions are Lepton Flavor Universal
 - * $m_\tau \rightarrow m_\ell$, $R(D)=R(D^*)=1$
 - * $m_\tau \rightarrow m_b$, $R(D)=R(D^*)=0$
 - We also have partial Lattice QCD results

The SM prediction

$R(D^*)$

- Lattice results only at zero recoil (preliminary away from zero recoil)
- Bernlochner, Ligeti, Papucci, Robinson (1703.05330)
 - NLO at HQET and perturbative QCD
 - Lattice + QCDSR
 - $R^{SM}(D^*) = 0.257 \pm 0.003$
- Bigi, Gambino, Schacht (1707.09509)
 - Assign 15% uncertainty to unknown NNLO
 - $R^{SM}(D^*) = 0.260 \pm 0.008$

The SM prediction

$R(D)$

- Lattice results are available to all (SM) form factors
- Lattice results at few kinematical points
- FLAG combination of FNAL/MILC and HPQCD (1607.00299):

$$R^{SM}(D) = 0.300 \pm 0.008$$

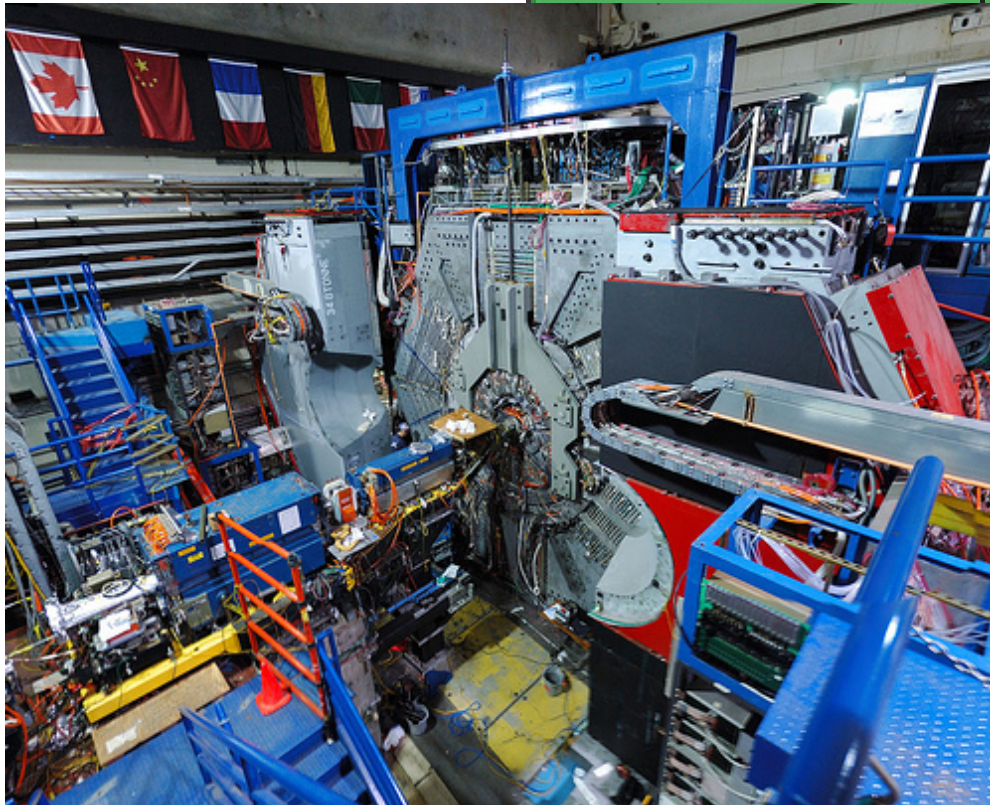
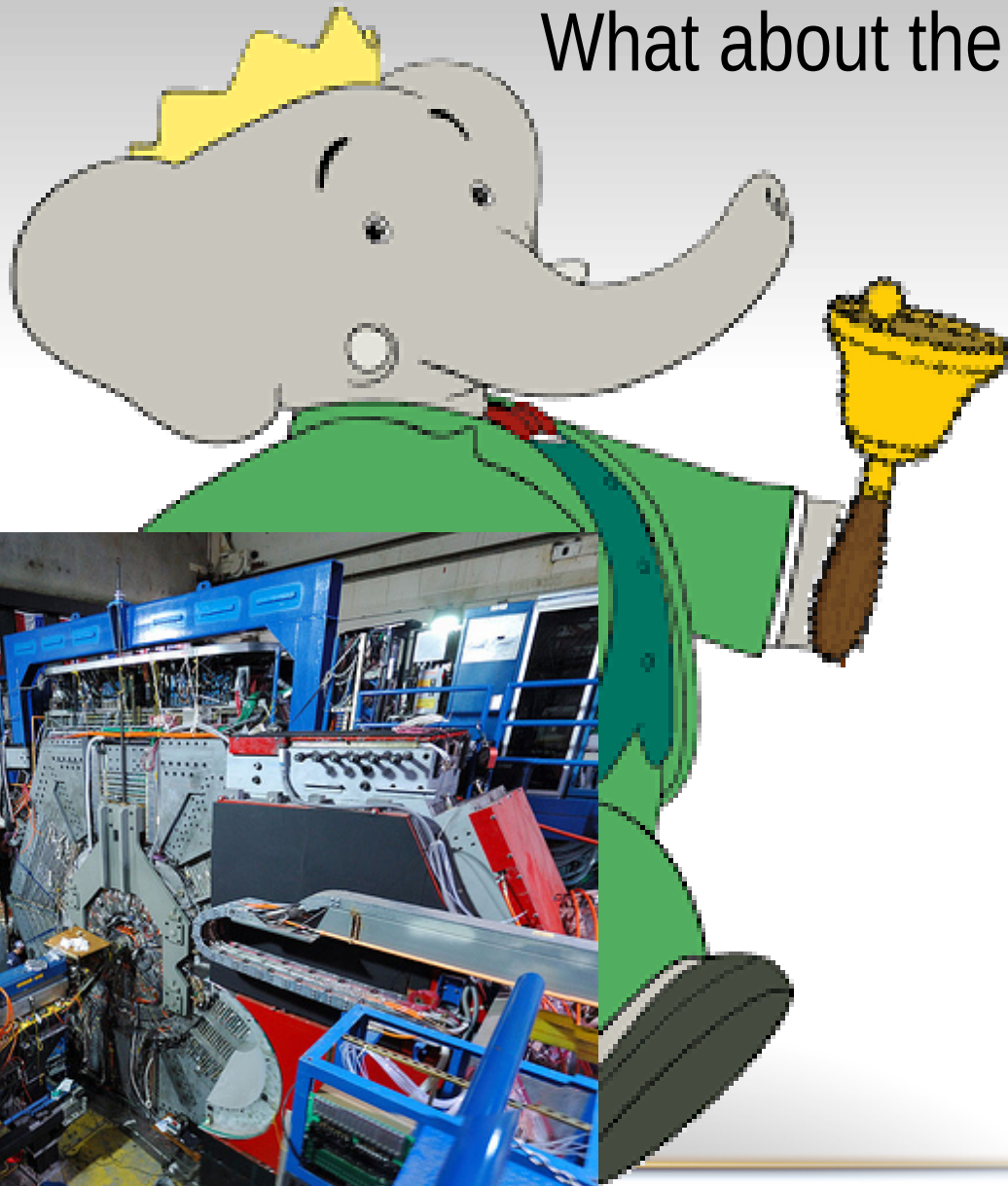
- Bernlochner, Ligeti, Papucci, Robinson (1703.05330)

$$R^{SM}(D) = 0.299 \pm 0.003$$

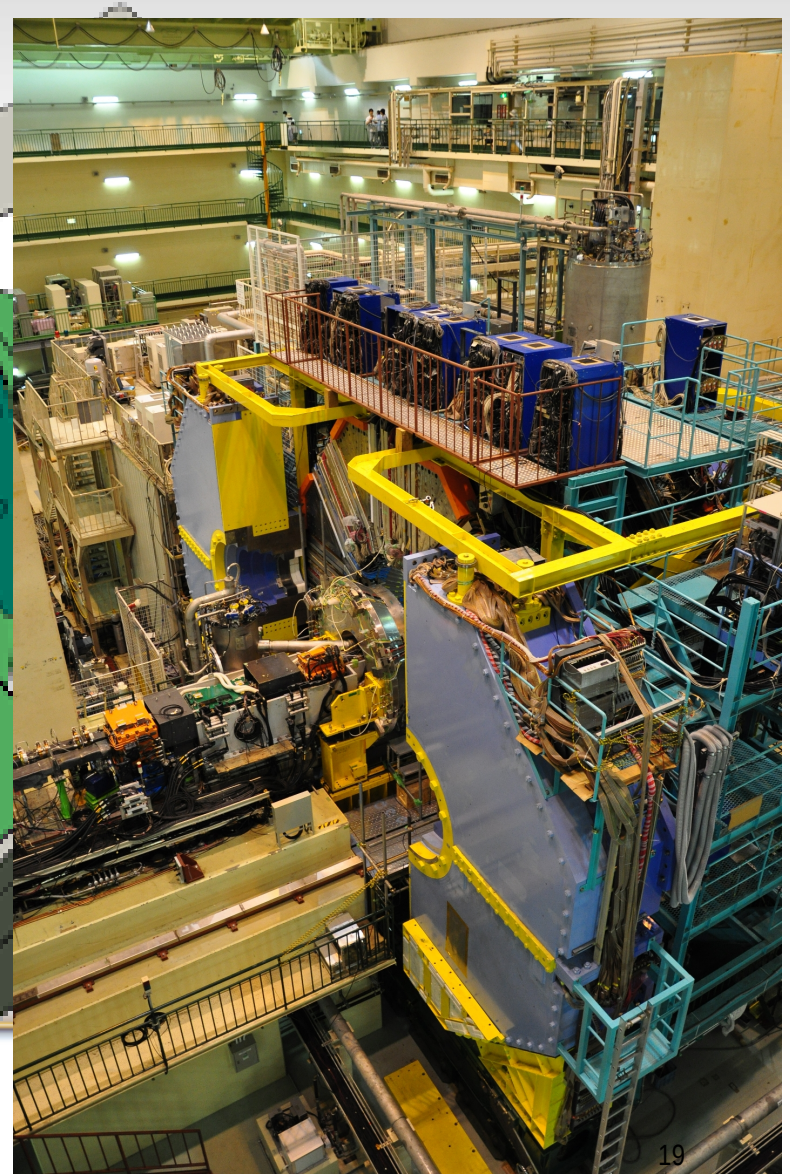
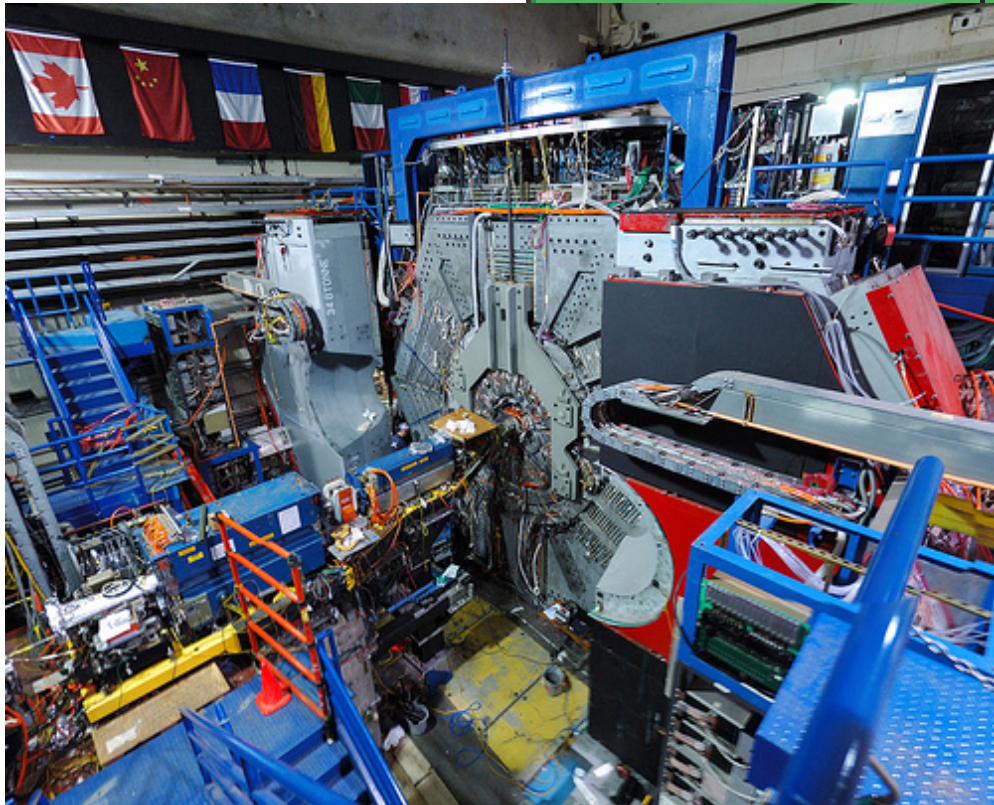
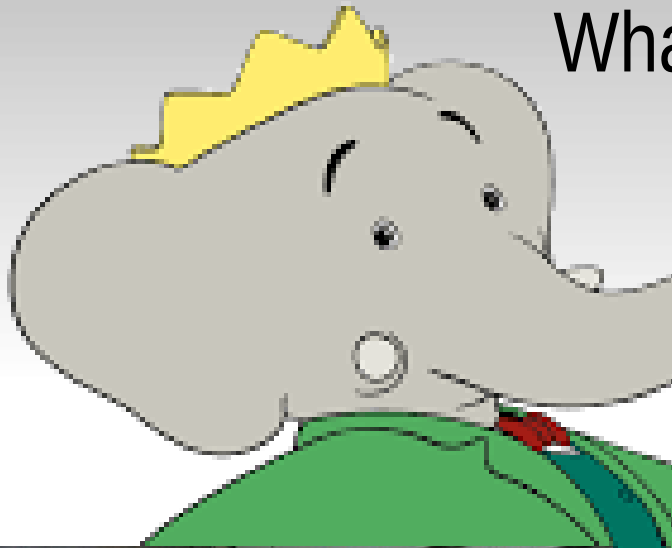
What about the experiments?



What about the experiments?



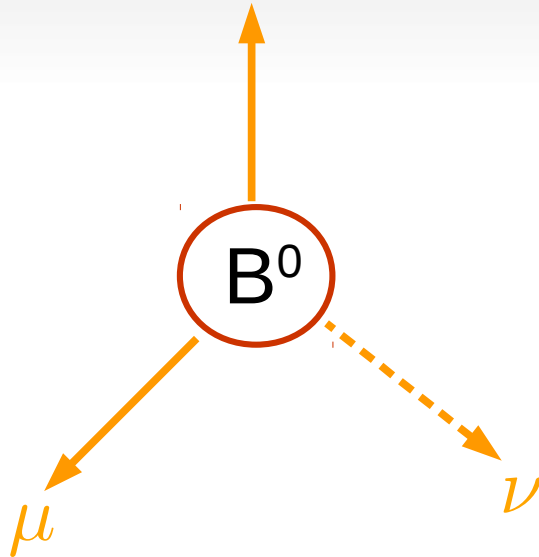
What about the experiments?



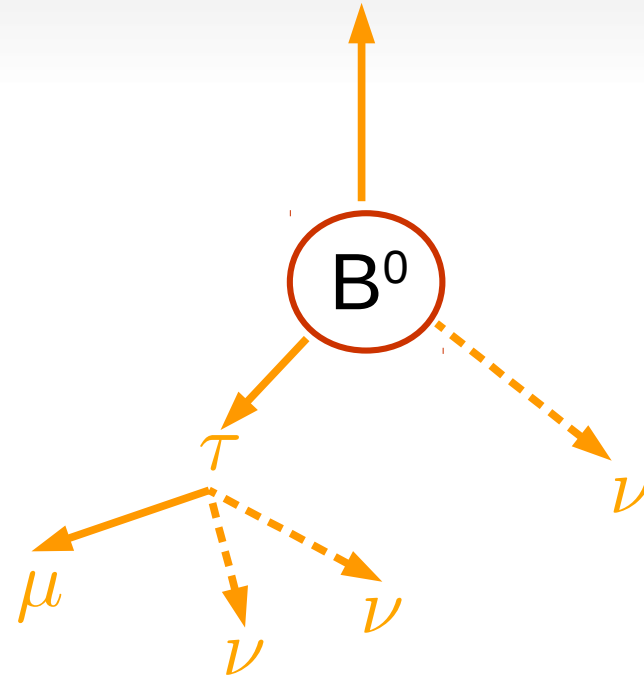
Also experimentalists like ratios!

- Most* of the experiments looked for muonic tau

Muon channel: D^*



Tau channel: D^*



- $$R(D^{(*)}) = \frac{N_{\tau}}{N_{\mu}} \frac{\epsilon_{\mu}}{\epsilon_{\tau}} \frac{1}{BR(\tau \rightarrow \mu \nu \nu)}$$

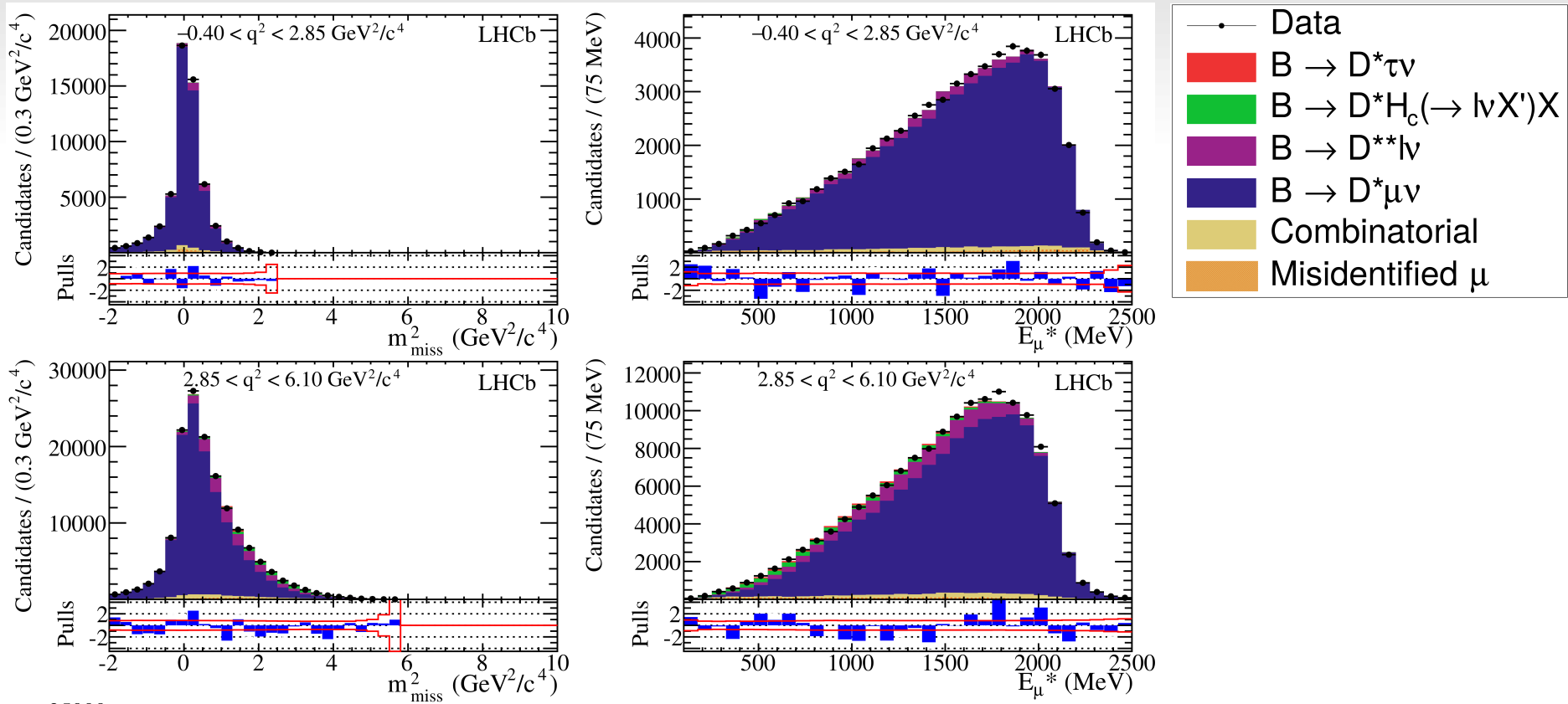
* Babar (1205.5442), Belle (1507.03233, 1607.07923), LHCb (1506.08614)

What is the experimental challenge?

- Tau and muon have same topology
- $N_\mu \sim 20 \cdot N_\tau$
- Need good discrimination between tau channel and muon channel
- “The most discriminating kinematic variables ... in the B rest Frame...” :

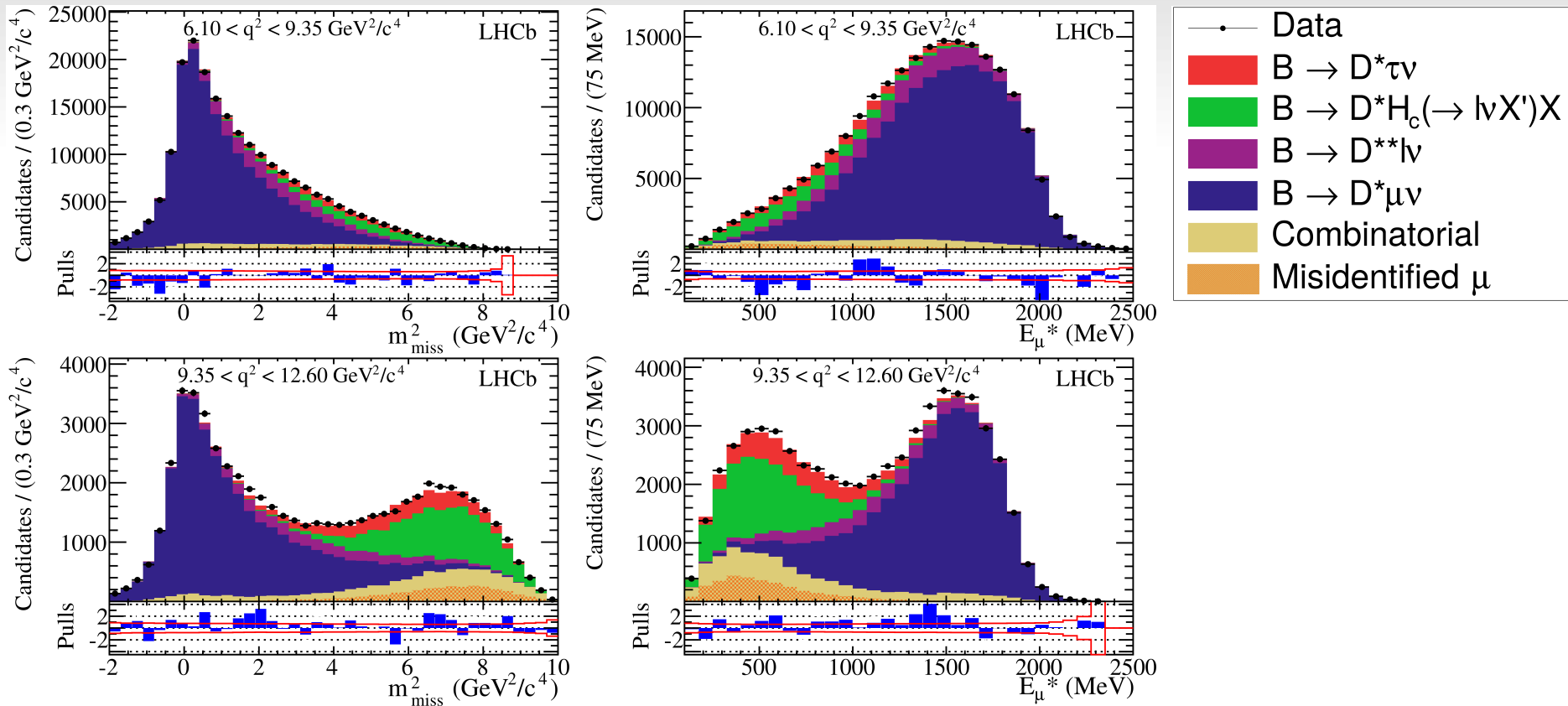
$$E_\mu^*, m_{miss}^2 = (p_B^\mu - p_{D^*}^\mu - p_\mu^\mu)^2, q^2 = (p_B^\mu - p_{D^*}^\mu)^2$$

“Below” threshold



arXiv:1506.08614 [hep-ex]

Above threshold



arXiv:1506.08614 [hep-ex]

$R(D^*)$ with hadronic modes

- Belle (1612.00529)

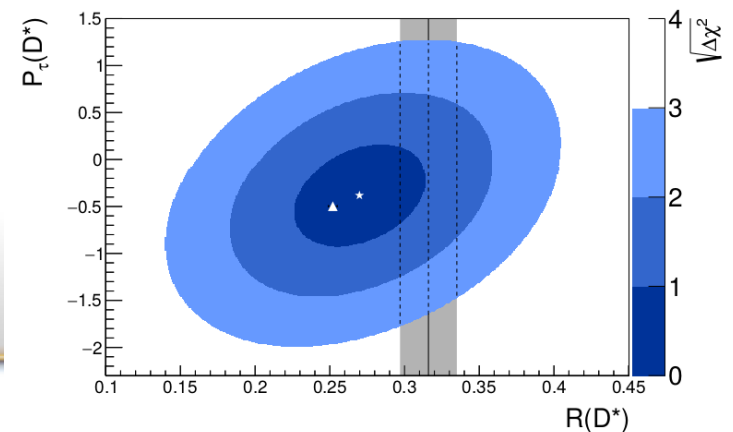
- $\tau^- \rightarrow \pi^- \nu_\tau, \tau^- \rightarrow \rho^- \nu_\tau$
- τ polarization asymmetry

$$P_\tau(D^*) = \frac{\Gamma(\lambda_\tau = 1/2) - \Gamma(\lambda_\tau = -1/2)}{\Gamma(\lambda_\tau = 1/2) + \Gamma(\lambda_\tau = -1/2)}$$

can be measured using angular distribution

$$d\Gamma/d\cos\theta \propto 1 + \alpha P_\tau \cos\theta,$$

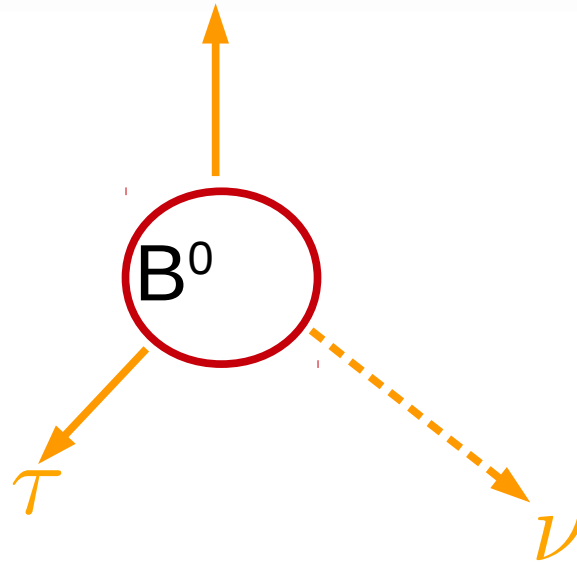
($\alpha_\pi = 1, \alpha_\rho = 0.45$)



$R(D^*)$ with hadronic modes

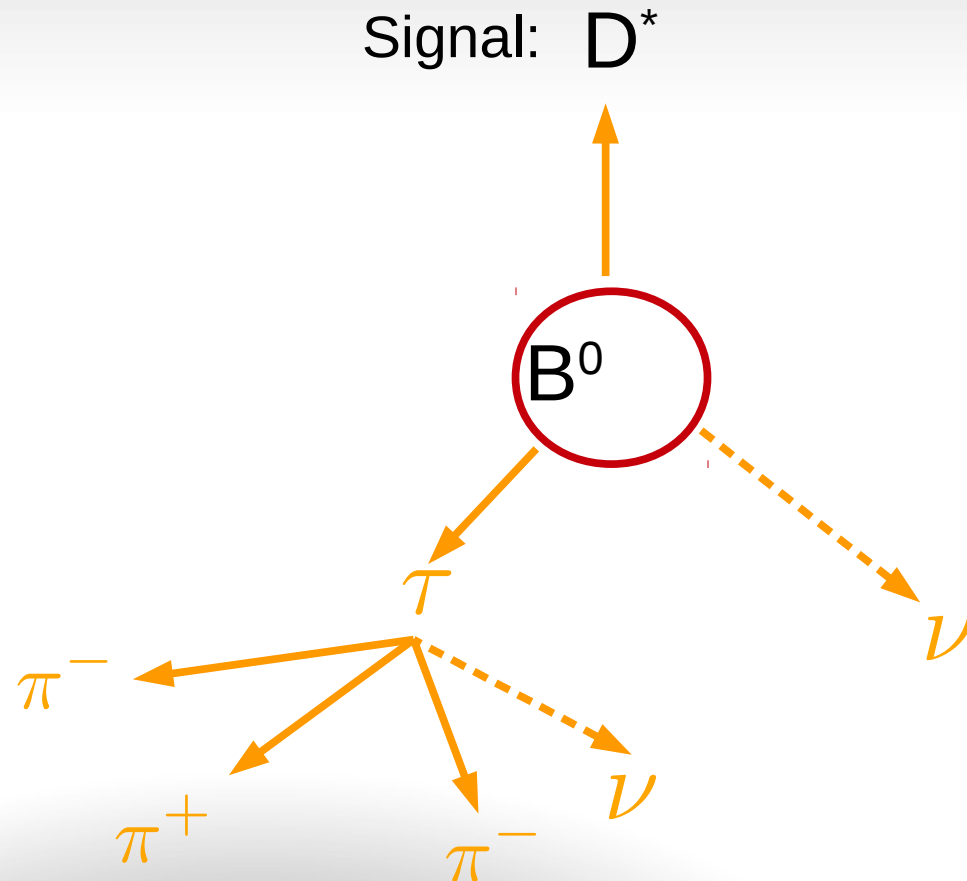
- LHCb (1708.08856)

Signal: D^*



$R(D^*)$ with hadronic modes

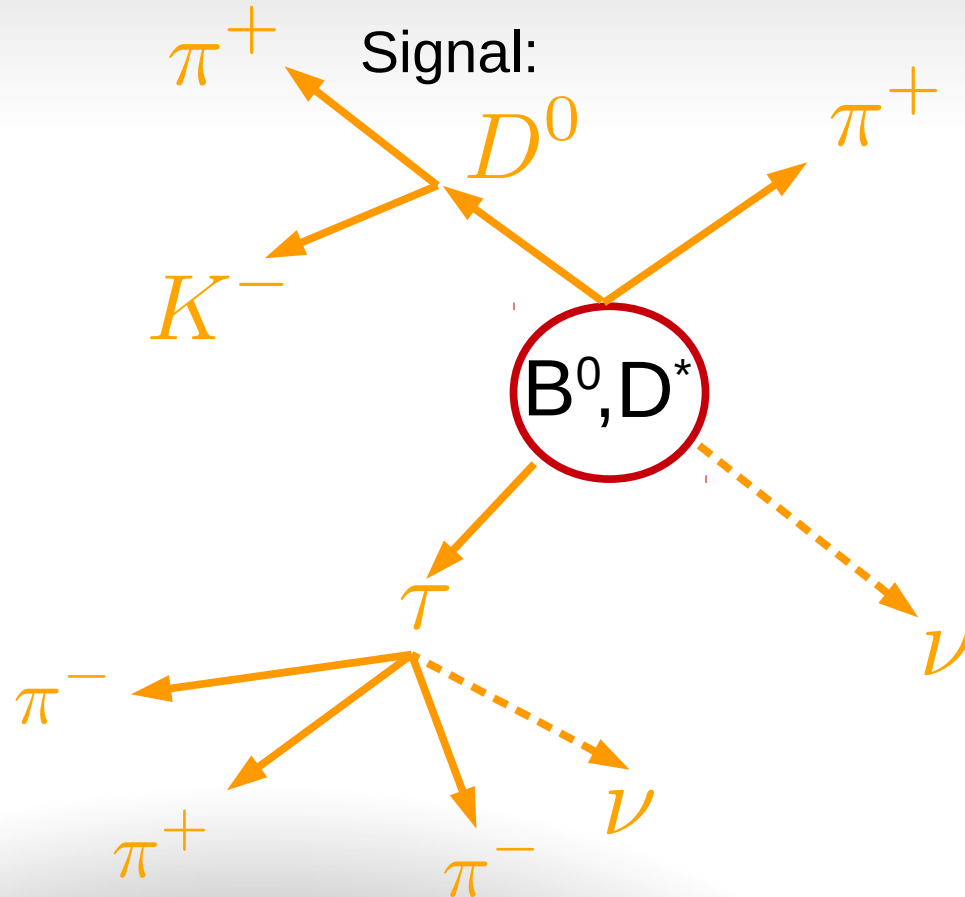
- LHCb (1708.08856)



(* Use also $\tau \rightarrow \pi^- \pi^+ \pi^- \pi^0 \nu_\tau$)

$R(D^*)$ with hadronic modes

- LHCb (1708.08856)



(* Use also $\tau \rightarrow \pi^- \pi^+ \pi^- \pi^0 \nu_\tau$)

Reducing the systematic uncertainties

Normalization:

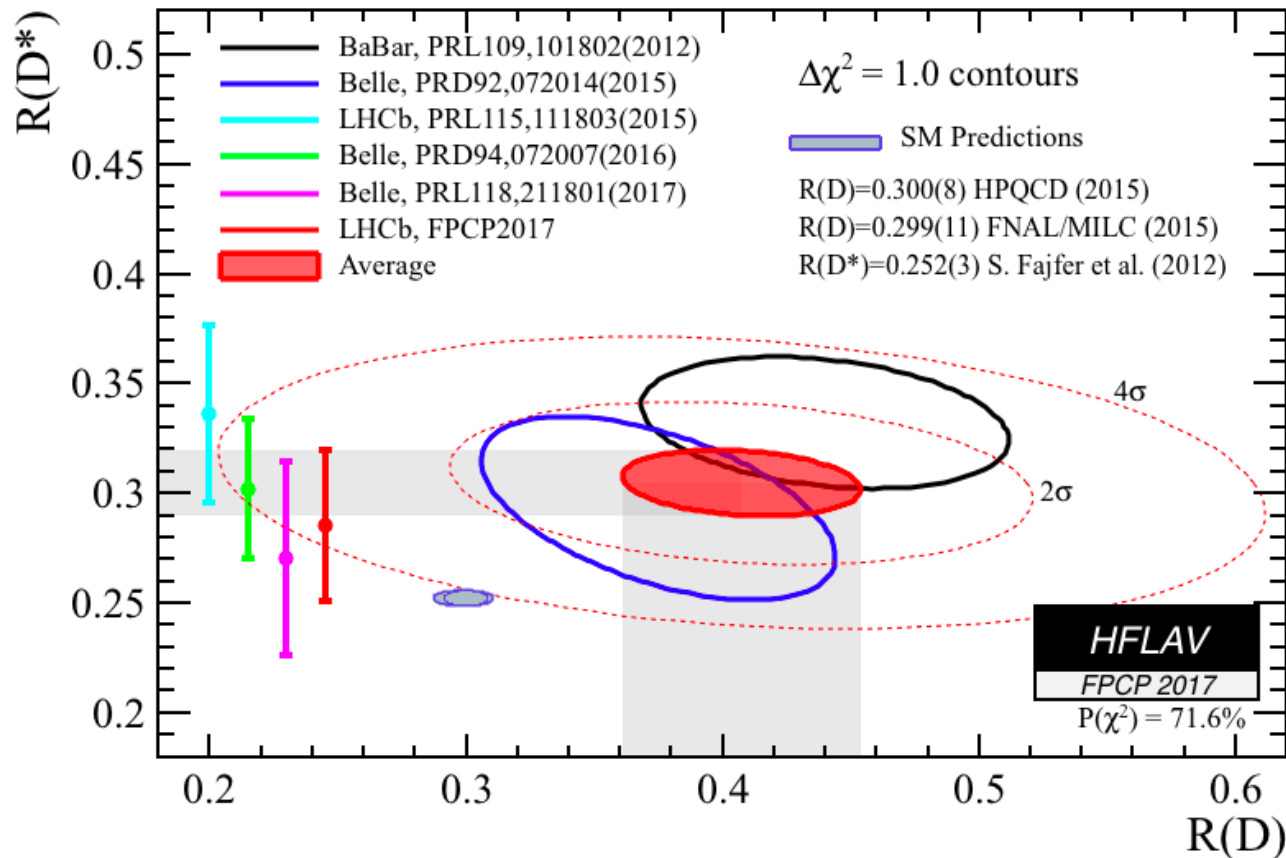
$$\mathcal{K}(D^{*-}) \equiv \frac{BR(B^0 \rightarrow D^{*-} \tau^+ \nu_\tau)}{BR(B^0 \rightarrow D^{*-} 3\pi)}$$

Problems:

- How to discriminate signal from normalization?
- How to discriminate signal from background?

Solution: Discriminate by using different (D^*) 3π kinematics

Measurement



- $\sim 4\sigma$ compared to HFLAV (out of date) SM prediction prediction
- Updated theoretical results ease (mildly) the tension

*<https://hflav.web.cern.ch/>

A word on New physics

- If we just re-scale the SM operator the effective Hamiltonian is

$$\mathcal{H} = \left(\frac{4G_F}{\sqrt{2}} V_{cb} + C_{NP} \right) \mathcal{O}_{VL}$$

- Interfere with SM: 30% enhancement in the rate means $C_{NP} \sim 15\% C_{SM}$

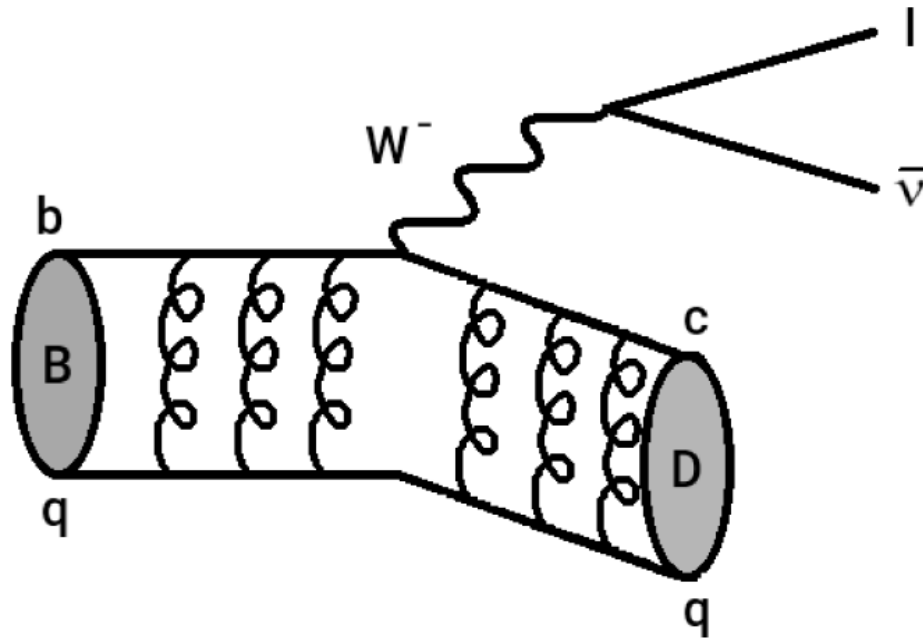
- The scale of new physics

$$C_{NP} \sim 1/m_{NP}^2 \Rightarrow m_{NP} \sim 1\text{TeV}$$

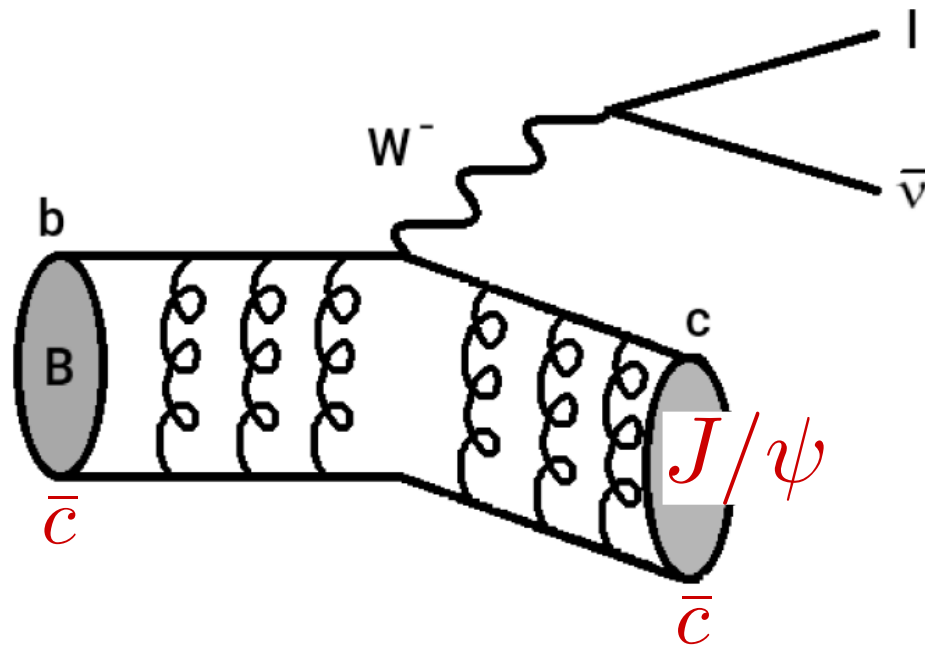
$R(D^{(*)})$ - Summary

- $R(D^{(*)})$ is puzzling and shows $\sim 4\sigma$ deviation from SM prediction
- Updated SM predictions ease the tension but do not solve the puzzle
- LHCb with 13 TeV, and Belle 2 will shed light
- New physics (?) at the TeV scale

$$R(J/\psi) = \frac{BR(B_c \rightarrow J/\psi \tau \nu)}{BR(B_c \rightarrow J/\psi \mu \nu)}$$

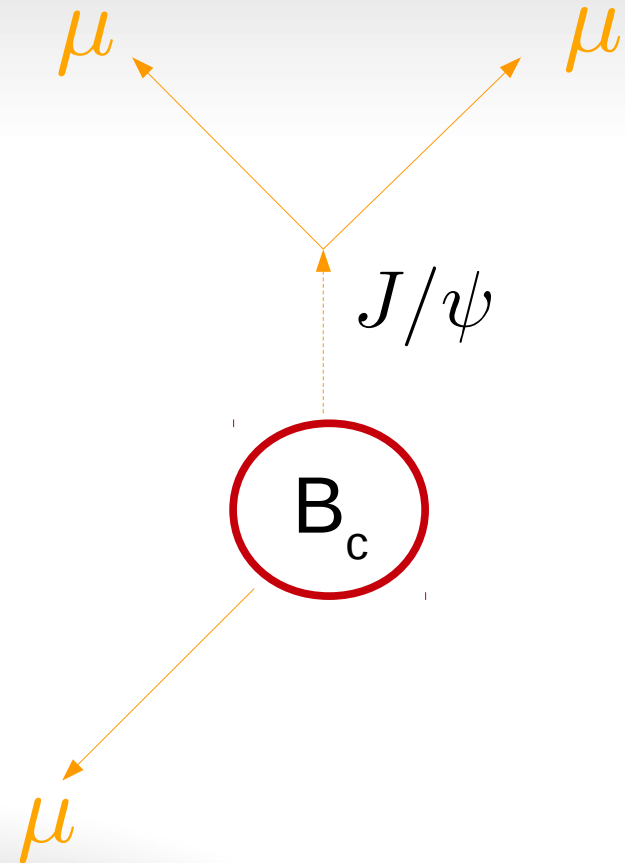


$$R(J/\psi) = \frac{BR(B_c \rightarrow J/\psi \tau \nu)}{BR(B_c \rightarrow J/\psi \mu \nu)}$$



The experimental signature

- By using muonic τ the analysis is very similar to $\mathcal{R}(D^*)$ with muonic τ



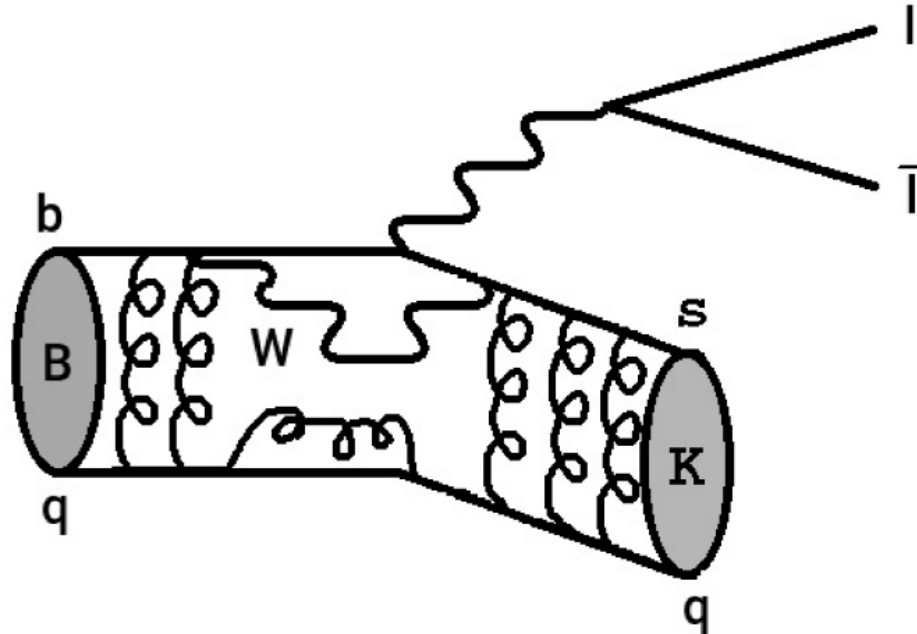
Result and summary

$$\mathcal{R}(J/\psi) = 0.71 \pm 0.17(\text{stat}) \pm 0.18(\text{syst})$$

- LHCb quote $R_{SM}(J/\psi) = 0.25 - 0.28$ which is 2σ below measurement
- $\sim 100\%$ disagreement on SM prediction in literature
- Interesting but not clear – keep your eyes open
- First evidence ($> 3\sigma$) for $B_c \rightarrow J/\psi\tau\nu$

What is $R(K^{(*)})$?

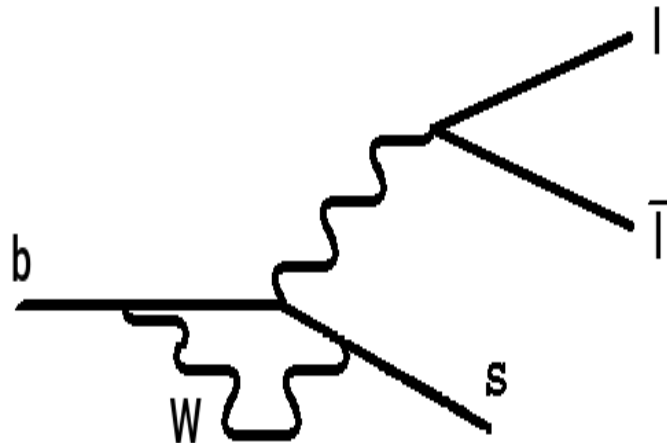
- $R(K^{(*)}) \equiv \frac{BR(B \rightarrow K^{(*)} \mu^+ \mu^-)}{BR(B \rightarrow K^{(*)} e^+ e^-)}$



What is $R(K^{(*)})$?

- $R(K^{(*)}) \equiv \frac{BR(B \rightarrow K^{(*)} \mu^+ \mu^-)}{BR(B \rightarrow K^{(*)} e^+ e^-)}$

- At the quark level: $b \rightarrow sl^+ l^-$



- SM: One loop process (Flavor changing neutral current)

The SM prediction

- Correct definition includes kinematical range

$$R_{K^{(*)}}[q_{min}^2, q_{max}^2] \equiv \frac{\int_{q_{min}^2}^{q_{max}^2} dq^2 d\Gamma(B \rightarrow K^{(*)} \mu^+ \mu^-) / dq^2}{\int_{q_{min}^2}^{q_{max}^2} dq^2 d\Gamma(B \rightarrow K^{(*)} e^+ e^-) / dq^2}$$

- For $q_{min}^2 \gg m_\ell^2$ we expect

$$R_K = R_{K^*} = 1$$

Anatomy of $R(K^{(*)})$

- Integrate out heavy d.o.f. - Effective Hamiltonian

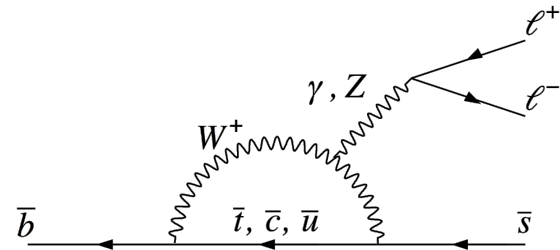
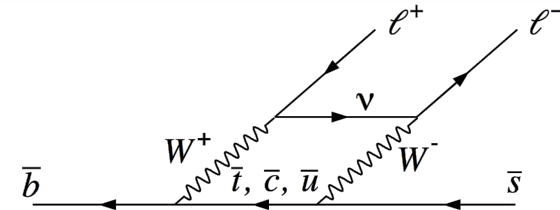
- Penguins and Boxes:

$$\mathcal{O}_9^{\ell} \propto (\bar{s}\gamma^{\mu}P_L b)(\bar{\ell}\gamma_{\mu}\ell)$$

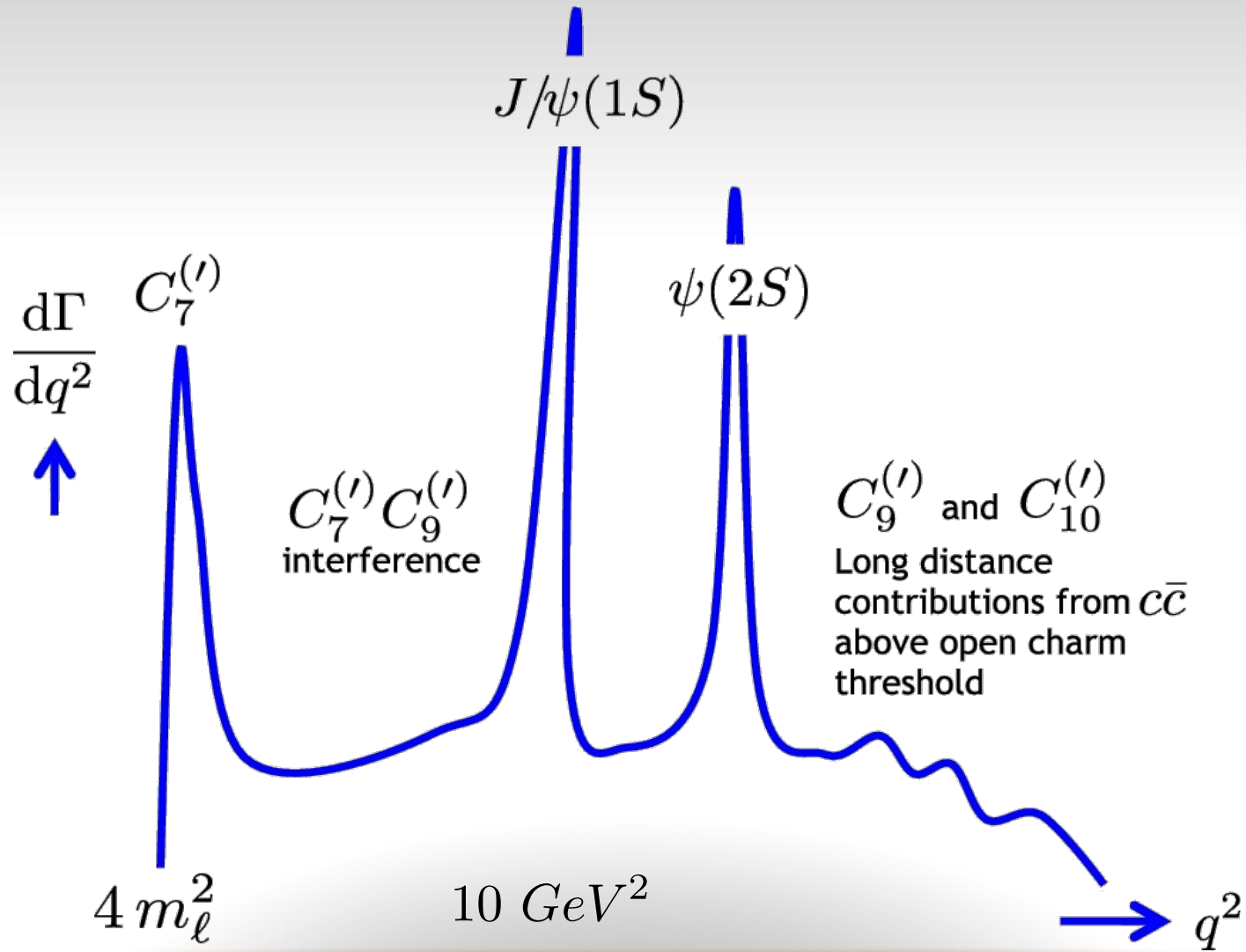
$$\mathcal{O}_{10}^{\ell} \propto (\bar{s}\gamma^{\mu}P_L b)(\bar{\ell}\gamma_{\mu}\gamma_5\ell)$$

- Dipole operator

$$\mathcal{O}_7 \propto (\bar{s}\sigma^{\mu\nu}b)F_{\mu\nu}$$



Anatomy of $R(K^*)$



Anatomy of $R(K^{(*)})$

- Within the SM at the scale m_b accidentally $C_9^{SM} \simeq -C_{10}^{SM}$

$$\mathcal{O}_{SM} \sim (\bar{s}\gamma^\mu P_L b)(\bar{\ell}\gamma_\mu P_L \ell)$$

- At low q^2
 - $R(K^*)$ - Dominated by the photon pole
 - $R(K)$ - No photon pole
- At high q^2 dominated by the J/ψ resonance
- In between $R_K^{SM} = R_{K^*}^{SM} = 1$

Uncertainties

- Bordone, Isidori, Pattori (1605.07633)

- Perturbative and non-perturbative QCD cancel in the ratio
- Leading QED corrections are $(\alpha/\pi)\log^2(m_B/m_\ell)$
- High q^2 but below J/ψ

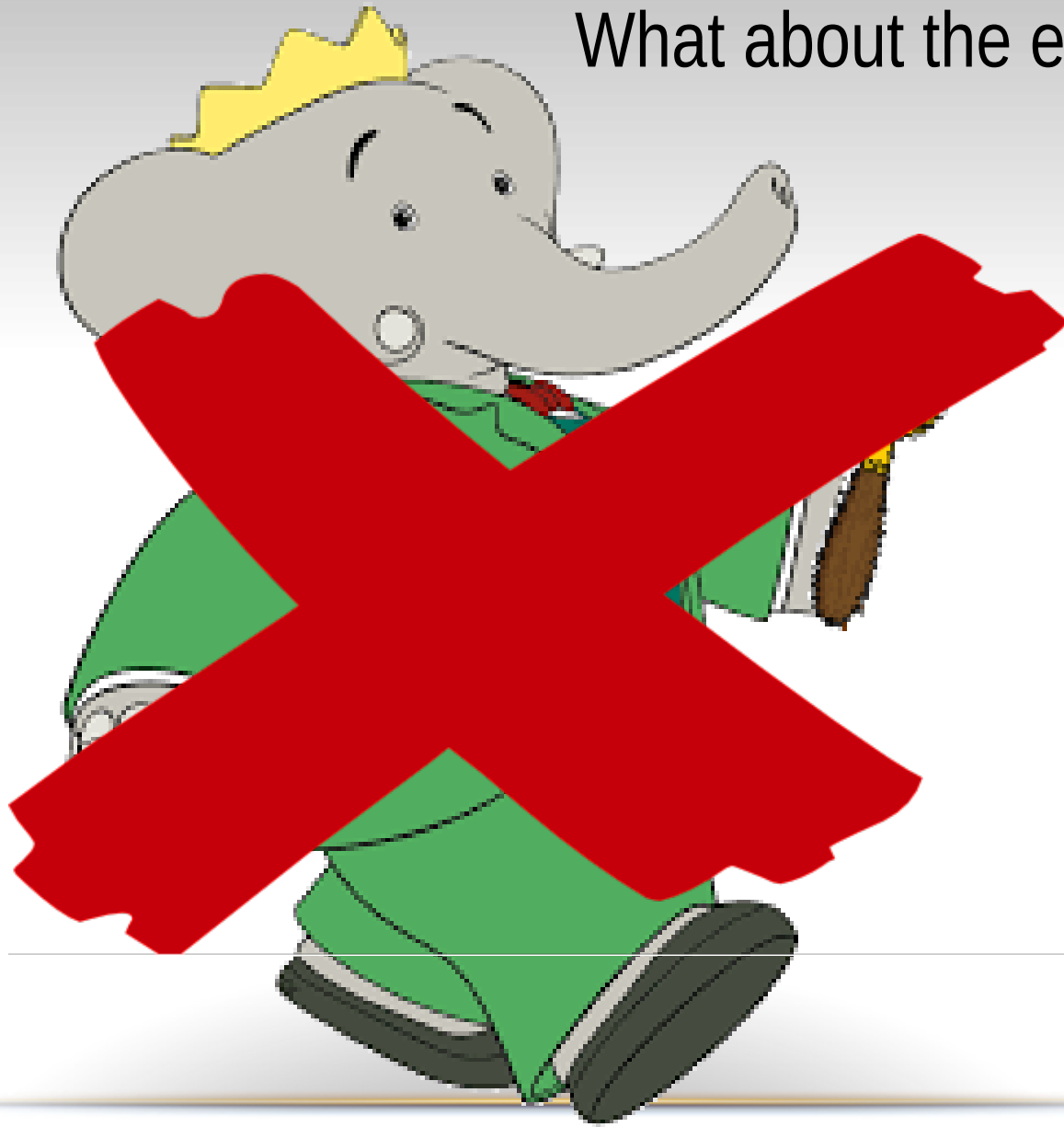
$$R^{SM}(K) = R^{SM}(K^*) = 1 \pm 0.01_{QED}$$

- Low q^2
 - No perfect cancellation \Rightarrow Form-factors uncertainties
 - Larger and subtle QED uncertainties

What about the experiment?



What about the experiment?



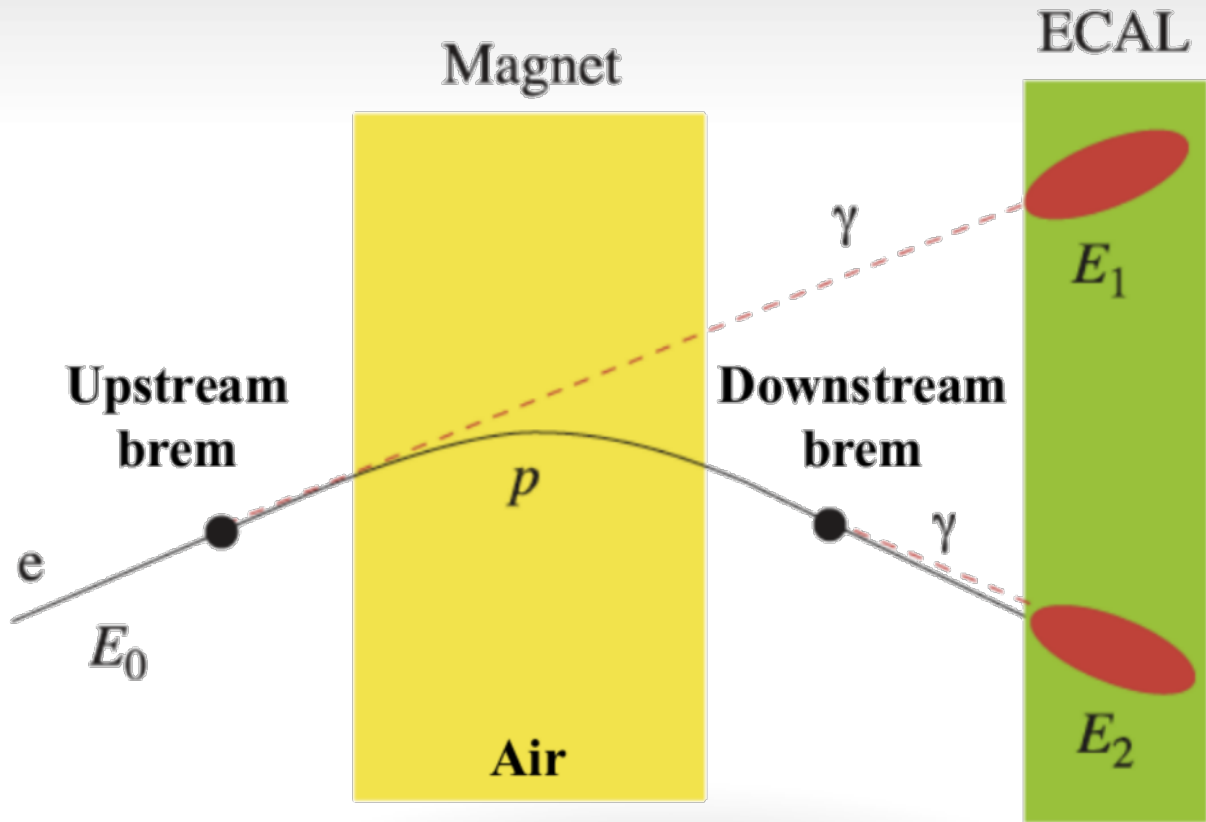
Experimentalists **really** like ratios!

- Only measured by LHCb
- Electrons and muons do not look the same
- Electrons are difficult for LHCb

$$R_{K^{(*)}} = \frac{BR(B \rightarrow K^{(*)} \mu\mu)}{BR(B \rightarrow K^{(*)} J/\psi(\rightarrow \mu\mu))} \bigg/ \frac{BR(B \rightarrow K^{(*)} ee)}{BR(B \rightarrow K^{(*)} J/\psi(\rightarrow ee))}$$

- J/ψ is known to be lepton flavor universal to the relevant accuracy

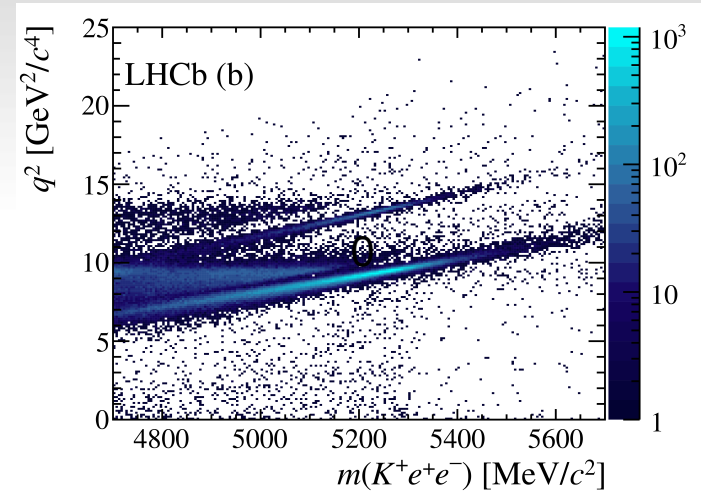
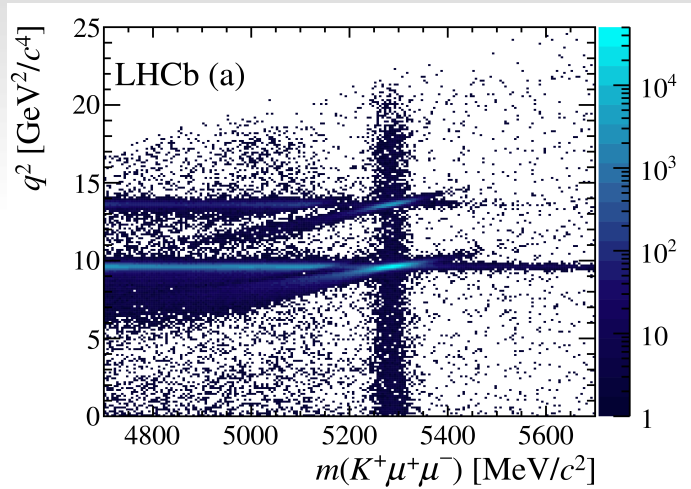
Electrons and Bremsstrahlung



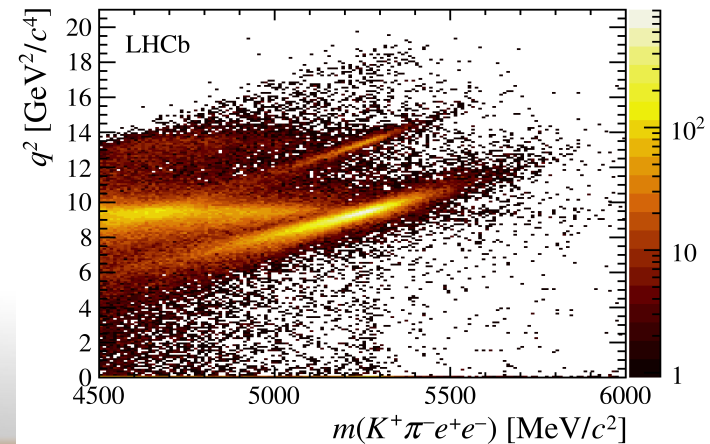
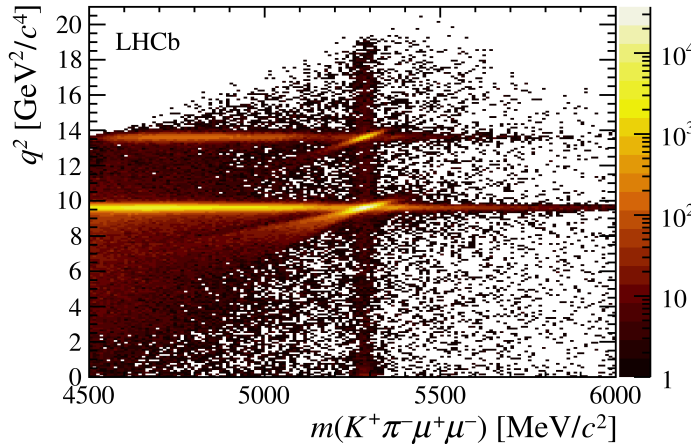
Simone Bifani, Cern seminar (18.04.17)

The data samples

- 1406.6482

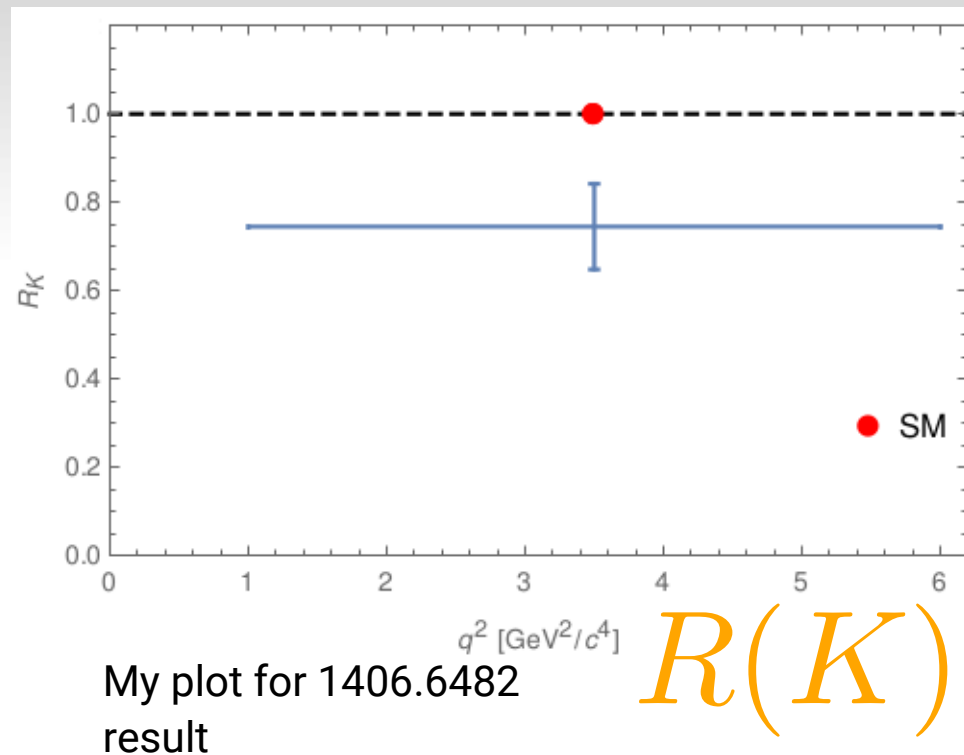
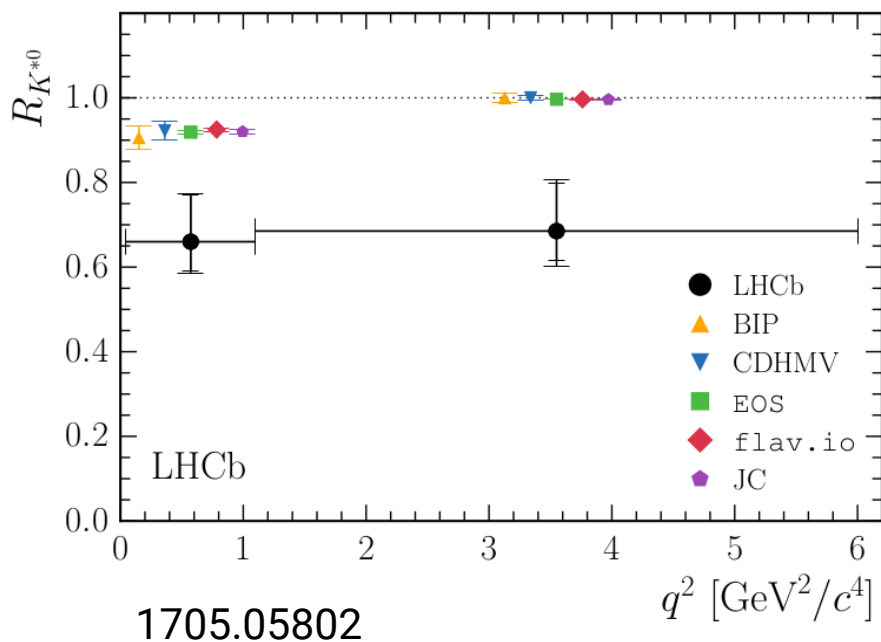


- 1705.05802



Results !

$R(K^*)$



Results

- $R_K [1 \text{ GeV}^2, 6 \text{ GeV}^2] = 0.75 \pm 0.10$
- $R_{K^*} [1.1 \text{ GeV}^2, 6 \text{ GeV}^2] = 0.69 \pm 0.12$
- $R_{K^*} [0.045 \text{ GeV}^2, 1.1 \text{ GeV}^2] = 0.66 \pm 0.11$
- SM prediction for the low bin $R_{K^*,low}^{SM} \simeq 0.91$
- Each measurement deviates by $\sim 2.1 - 2.6\sigma$ from SM prediction
- Low bin is confusing ($4m_\mu^2 \sim 0.045 \text{ GeV}^2$). Hard to violate the photon universality
- Threshold effects are challenging both theoretically and experimentally

A word on New physics

- If we just re-scale the SM operator the effective Hamiltonian is

$$\mathcal{H} = \left(\frac{4G_F}{\sqrt{2}} \frac{\alpha}{4\pi} V_{tb} V_{ts}^* + C_{NP} \right) \mathcal{O}_{LL}$$

- Interfere with SM: 30% reduction means $C_{NP} \sim 15\% C_{SM}$

- The scale of (tree level) new physics

$$C_{NP} \sim 1/m_{NP}^2 \Rightarrow m_{NP} \sim 30 \text{ TeV}$$

$R(K^{(*)})$ - Summary

- $R(K^{(*)})$ is puzzling and shows $\sim 2.5\sigma$ deviation from SM prediction for each measurement
- $R(K^*)$ at low q^2 is even more puzzling. It is preferred to measure away from threshold, e.g. from 0.1 GeV^2
- LHCb with 13 TeV, and Belle 2 will shed light from the experiment side
- New physics at the 30 TeV scale

$$B_s \rightarrow \mu^+ \mu^-$$

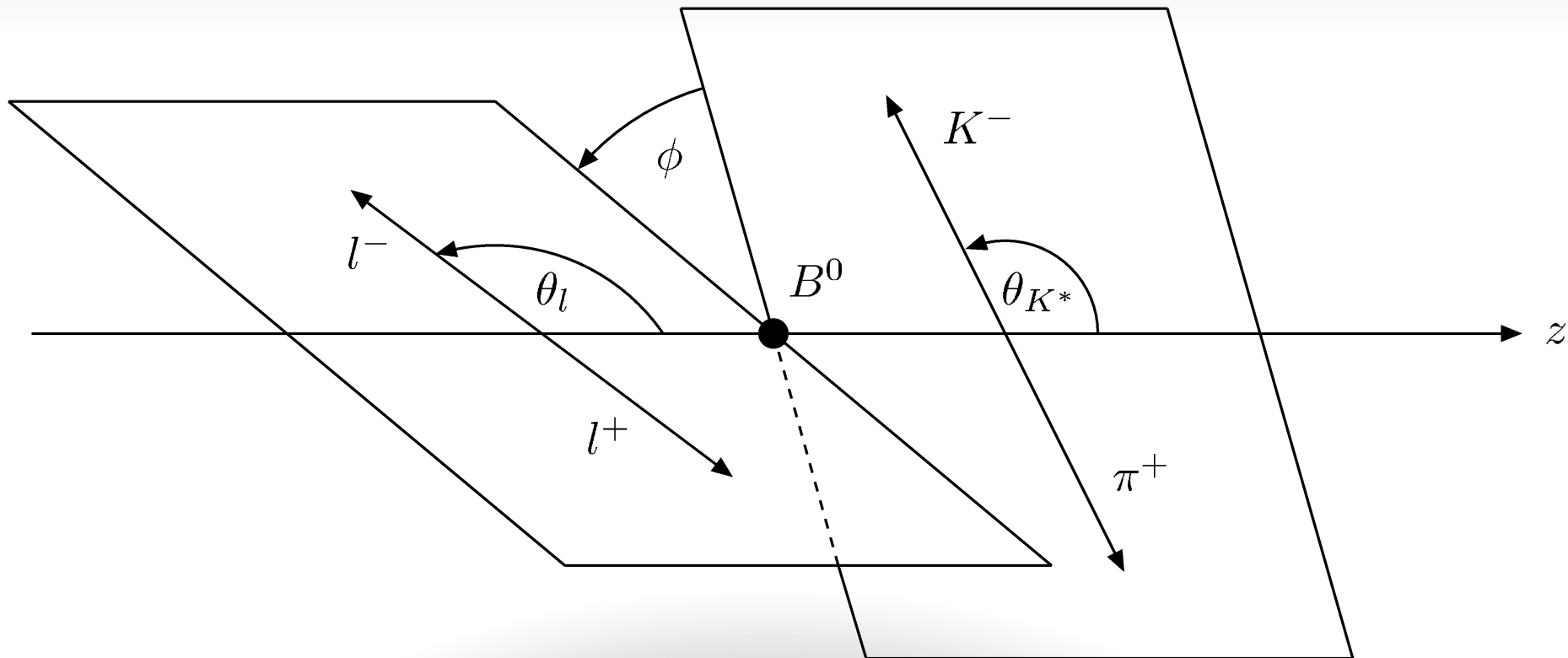
- LHCb observed with 7.8σ significance (1703.05747)

$$BR(B_s \rightarrow \mu^+ \mu^-) = (3.0 \pm 0.6_{-0.2}^{+0.3}) \times 10^{-9}$$

- Fleischer, Jaarsma, Tetlalmatzi-Xolocotzi (1703.10160) updated
Bobeth, Gorbahn, Hermann, Misiak, Stamou, Steinhauser (1311.0903)

$$BR_{SM}(B_s \rightarrow \mu^+ \mu^-) = (3.57 \pm 0.16) \times 10^{-9}$$

$B \rightarrow K^* (\rightarrow K\pi) \mu\mu$ angular distribution



$B \rightarrow K^* (\rightarrow K \pi) \mu \mu$ angular distribution

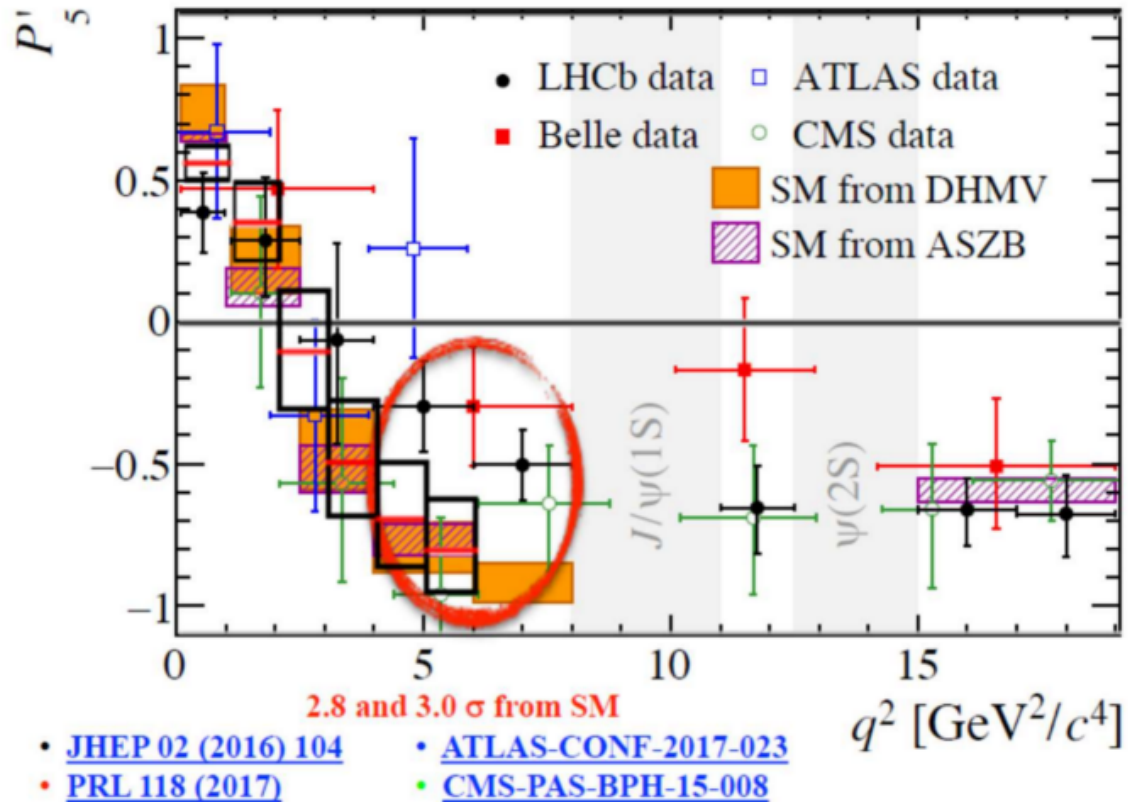
$$\frac{d^{(4)}\Gamma(B \rightarrow K^* (\rightarrow K \pi) \mu \mu)}{dq^2 d(\cos \theta_l) d(\cos \theta_k) d\phi} = \frac{9}{32 \pi}$$

$$\begin{aligned} \times & \left(I_1^s \sin^2 \theta_k + I_1^c \cos^2 \theta_k + (I_2^s \sin^2 \theta_k + I_2^c \cos^2 \theta_k) \cos 2\theta_l \right. \\ & + I_3 \sin^2 \theta_k \sin^2 \theta_l \cos 2\phi + I_4 \sin 2\theta_k \sin 2\theta_l \cos \phi \\ & + I_5 \sin 2\theta_k \sin \theta_l \cos \phi + (I_6^s \sin^2 \theta_k + I_6^c \cos^2 \theta_k) \cos \theta_l \\ & + I_7 \sin 2\theta_k \sin \theta_l \sin \phi + I_8 \sin 2\theta_k \sin 2\theta_l \sin \phi \\ & \left. + I_9 \sin^2 \theta_k \sin^2 \theta_l \sin 2\phi \right). \end{aligned}$$

$B \rightarrow K^* (\rightarrow K \pi) \mu \mu$ angular distribution

- The I_i are functions of q^2 only
- $I_6 \propto$ forward-backward (FB) asymmetry
- @ $I_6(q_0^2) = 0$, I_6 is considered clean
- $I_5(q_0^2) \sim I_6(q_0^2) + \text{HQET suppressed} + 1\text{-term}$
- $P'_5 \sim \frac{I_5}{\sqrt{-I_2^s I_2^c}}$ some debate in the community about its cleanness

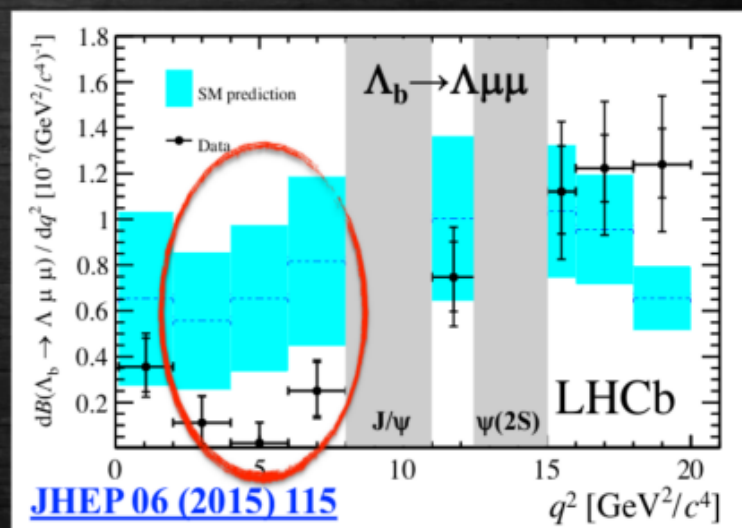
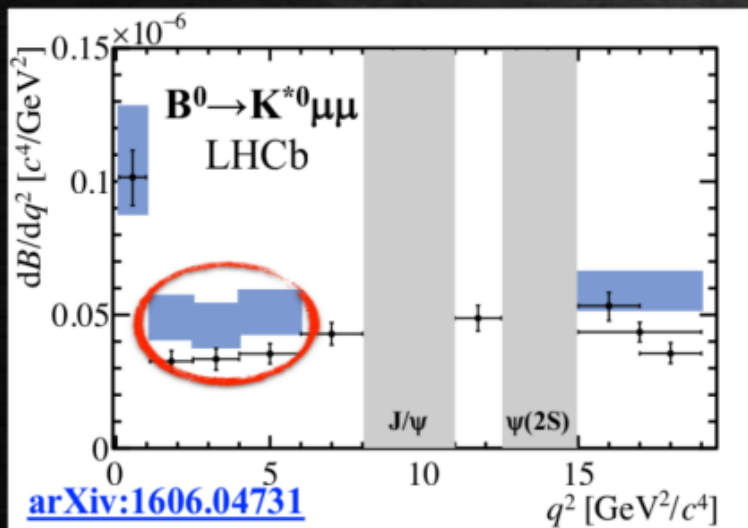
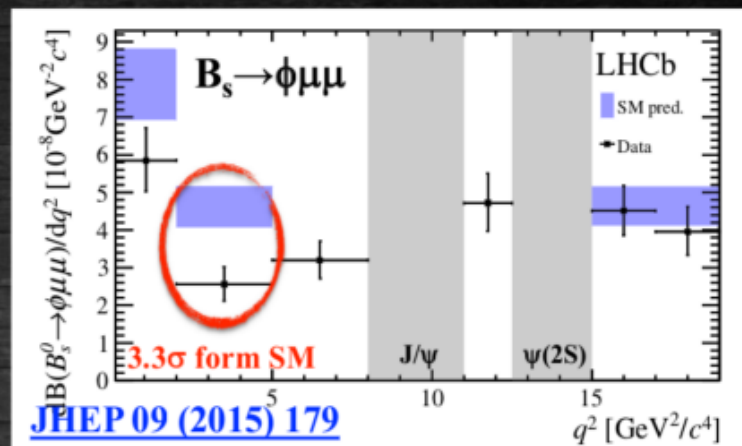
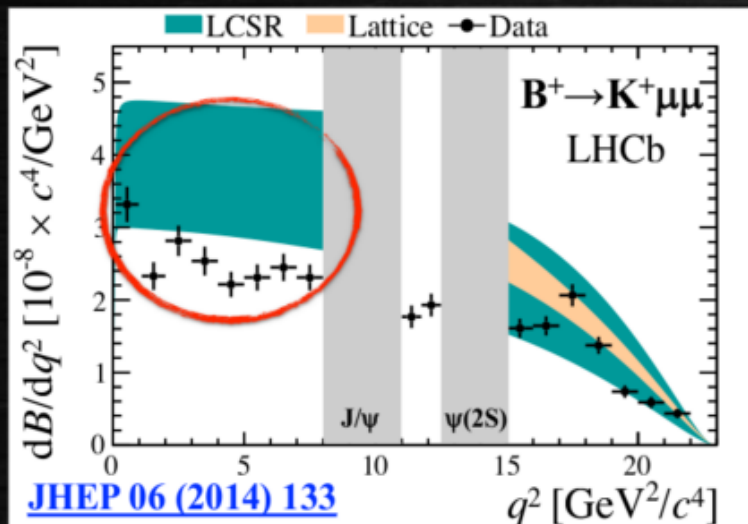
P5'



Simone Bifani, seminar at CERN (overlaid predictions from SJ&Martin Camalich 2014)

Modest discrepancy around 4-6 GeV, consistent with reduced C9

› Results consistently lower than SM predictions



V_{cb} – inclusive or exclusive?

- Inclusive (PDG)


$$|V_{cb}| = (42.2 \pm 0.8) \times 10^{-3}$$

- Exclusive – two methods:

BGL (Boyd, Grinstein, Lebed)	CLN (Caprini, Lellouch, Neubert)
BGS (1703.06124) $ V_{cb} = (41.7_{-2.1}^{+2.0}) \times 10^{-3}$	Belle (1702.01521) $ V_{cb} = (38.2 \pm 1.5) \times 10^{-3}$
GK (1703.08170) $ V_{cb} = (41.9_{-1.9}^{+2.0}) \times 10^{-3}$	BLPR (1703.05330) $ V_{cb} = (38.5 \pm 1.1) \times 10^{-3}$

- See also BLPR (1708.07134)

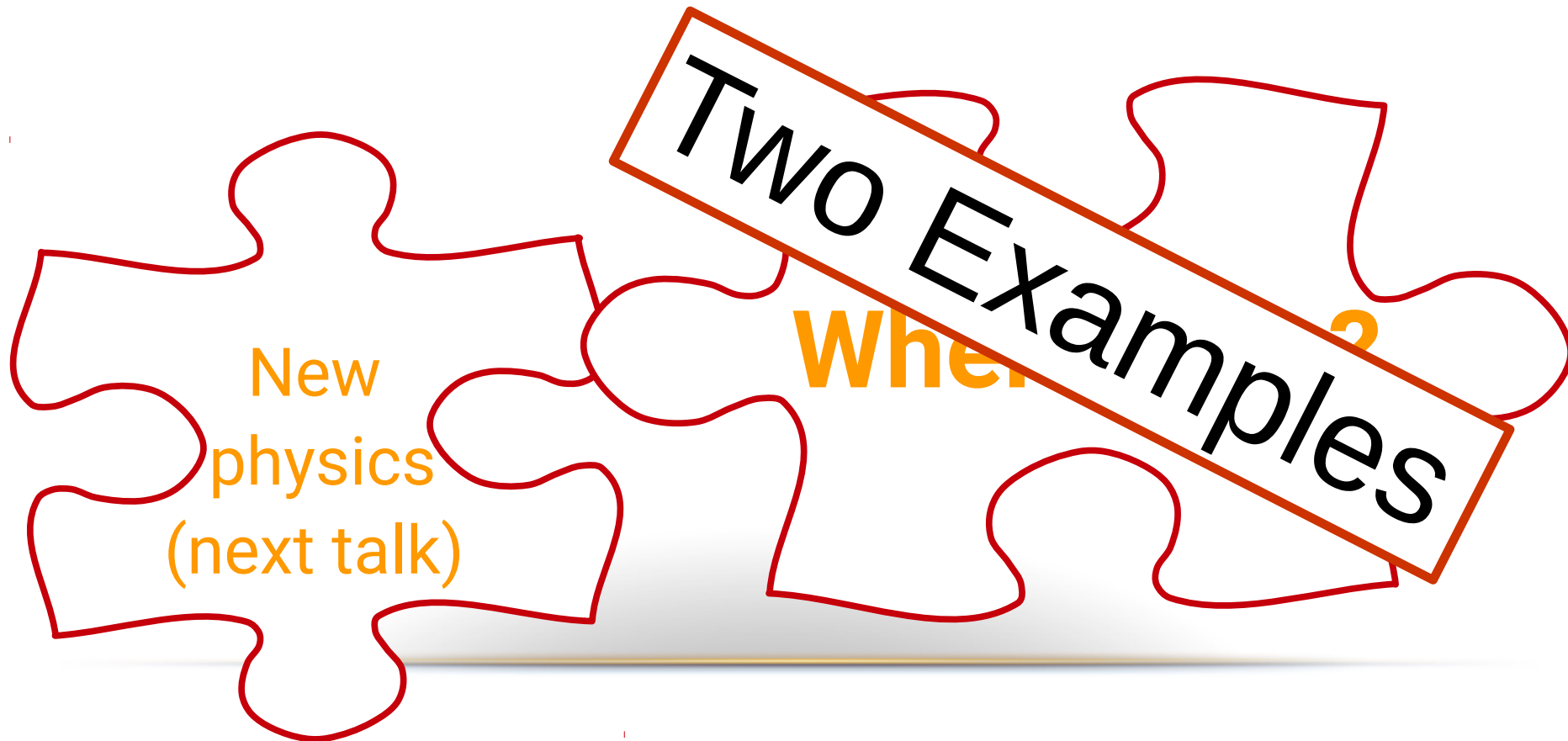
B mesons are PUZZLING



New
physics
(next talk)

Where else?

B mesons are PUZZLING



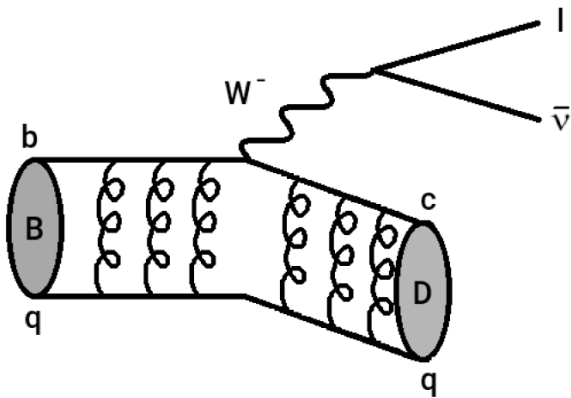
Two things to do
with Belle two



Υ and ψ decays as probes of solutions to the $R(D^{(*)})$ puzzle

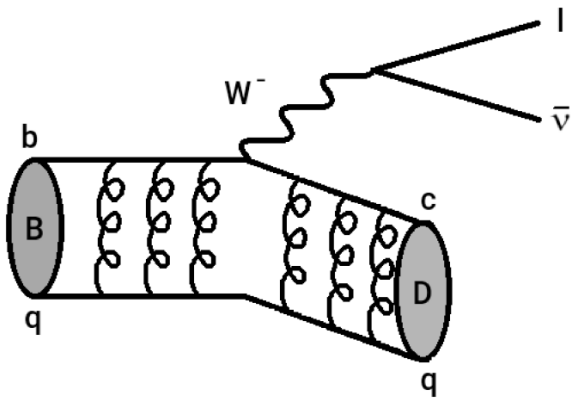
DA, Aielet Efrati (WIS), Yuval Grossman (Cornell), Yossi Nir (WIS)
JHEP 1706 (2017) 019, Arxiv: 1702.07356

Υ and ψ decays as probes of solutions to the $R(D^{(*)})$ puzzle

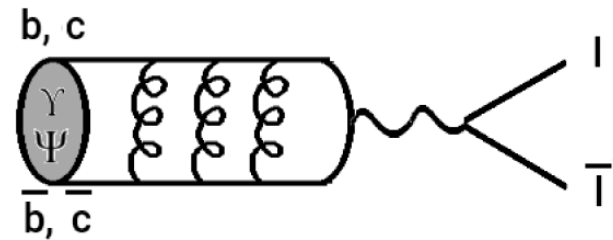


Charge current (CC)

Υ and ψ decays as probes of solutions to the $R(D^{(*)})$ puzzle

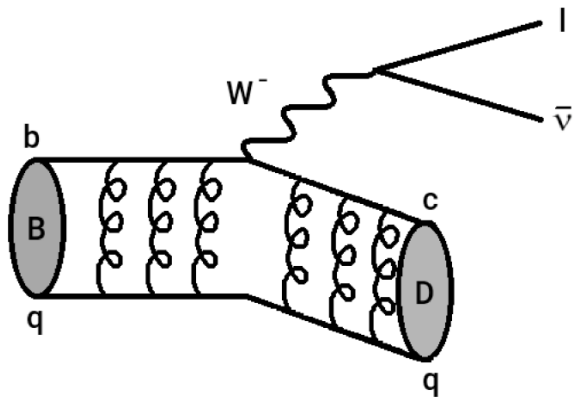


Charge current (CC)



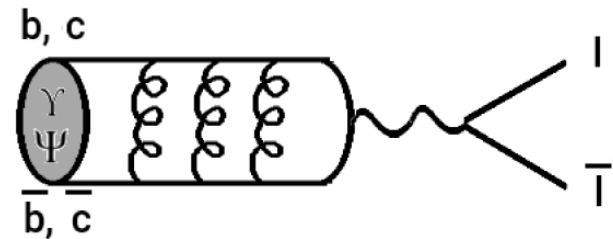
Neutral current (NC)

Υ and ψ decays as probes of solutions to the $R(D^{(*)})$ puzzle



Charge current (CC)

ν is part of a doublet



Neutral current (NC)

if we have ν we have τ

New observables - $R(\Upsilon)$ & $R(\psi)$

- We suggest to look for lepton non universality of Υ and ψ decays

$$R_{\tau/\ell}^V \equiv \frac{\Gamma(V \rightarrow \tau^+ \tau^-)}{\Gamma(V \rightarrow \ell^+ \ell^-)}, \quad (V = \Upsilon, \psi(2s); \ell = e, \mu)$$

* $\Upsilon = b\bar{b}$ bound state

* $\psi = c\bar{c}$ bound state

These observables are extremely clean!

$R_{\tau/\ell}^V$:

$V(nS)$	SM prediction	Exp. value $\pm\sigma_{\text{stat}} \pm \sigma_{\text{syst}}$
$\Upsilon(1S)$	$0.9924 \pm \mathcal{O}(10^{-5})$	$1.005 \pm 0.013 \pm 0.022$
$\Upsilon(2S)$	$0.9940 \pm \mathcal{O}(10^{-5})$	$1.04 \pm 0.04 \pm 0.05$
$\Upsilon(3S)$	$0.9948 \pm \mathcal{O}(10^{-5})$	$1.05 \pm 0.08 \pm 0.05$
$\psi(2S)$	$0.390 \pm \mathcal{O}(10^{-4})$	0.39 ± 0.05

One things to do with Belle two



- Current error is $\sigma_{1S}^{BaBar} \sim 2\%$
- Running at $\Upsilon(3S)$ with $\mathcal{L} \sim 1/ab$ Belle II might reach $\sigma_{1S} \simeq 0.4\%$
- Cover most region of parameter space related to $R(D^{(*)})$
- LFU in Υ decays provide additional motivation to study $\Upsilon(3S)$ at Belle II
- Test the SM and Probe NP even if $R(D^{(*)})$ disappears

Measuring CP violation in $R(D^{(*)})$ by using D^{**}

DA, Yuval Grossman (Cornell), Abner Soffer (TAU)

Arxiv: 1805.?????

Why is it interesting to have a phase?

- $R(D^{(*)})$ is puzzling!
- NP breaks LFU at $O(1)$! Why shouldn't it break CP at $O(1)$?
- CP violation = NP. No CPV within the SM

Can we measure CP asymmetry directly?

- The most naive observable

$$\mathcal{A}_{CP} \propto |A(B \rightarrow \bar{D}^{(*)} \bar{\tau} \nu)|^2 - |A(\bar{B} \rightarrow D^{(*)} \tau \bar{\nu})|^2$$

- Checklist:
 - Two amplitudes
 - Weak phase
 - Strong phase

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- Checklist:

- Two amplitudes 
- Weak phase 
- Strong phase 

How can we get a strong phase?

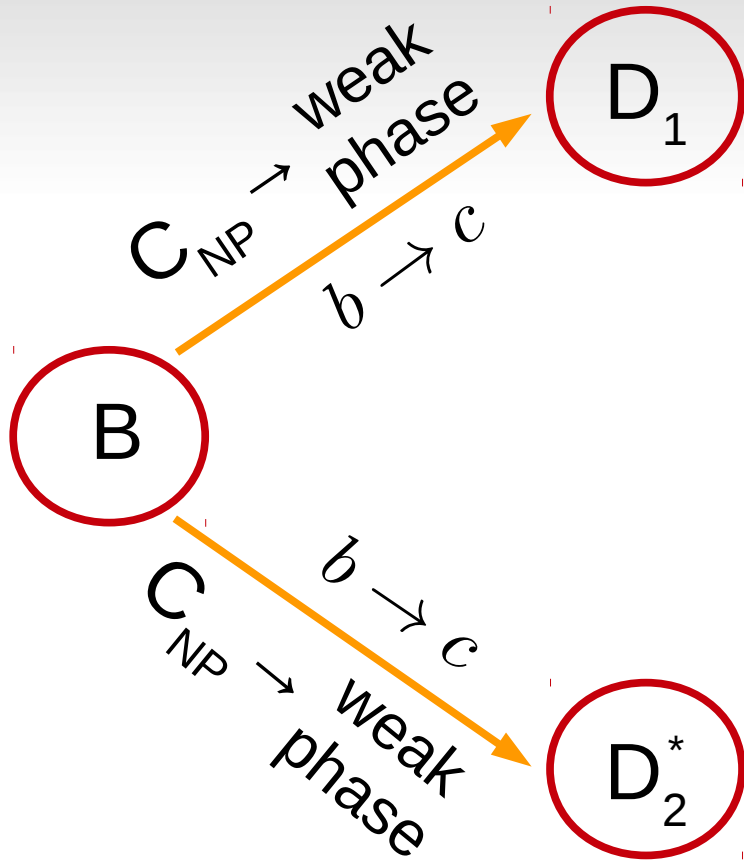
You get strong phase from

INTERFERENCE

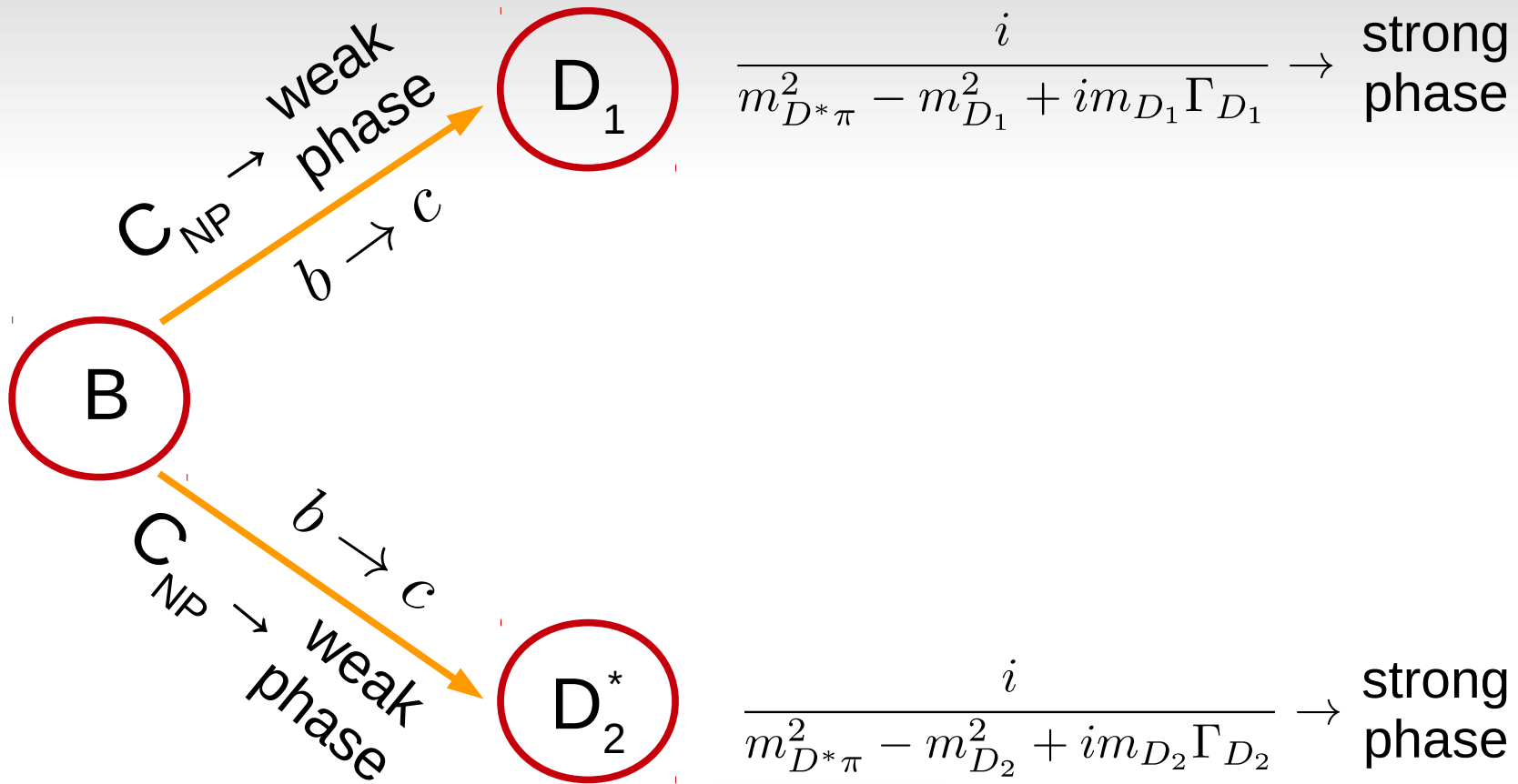
How does it work?

B

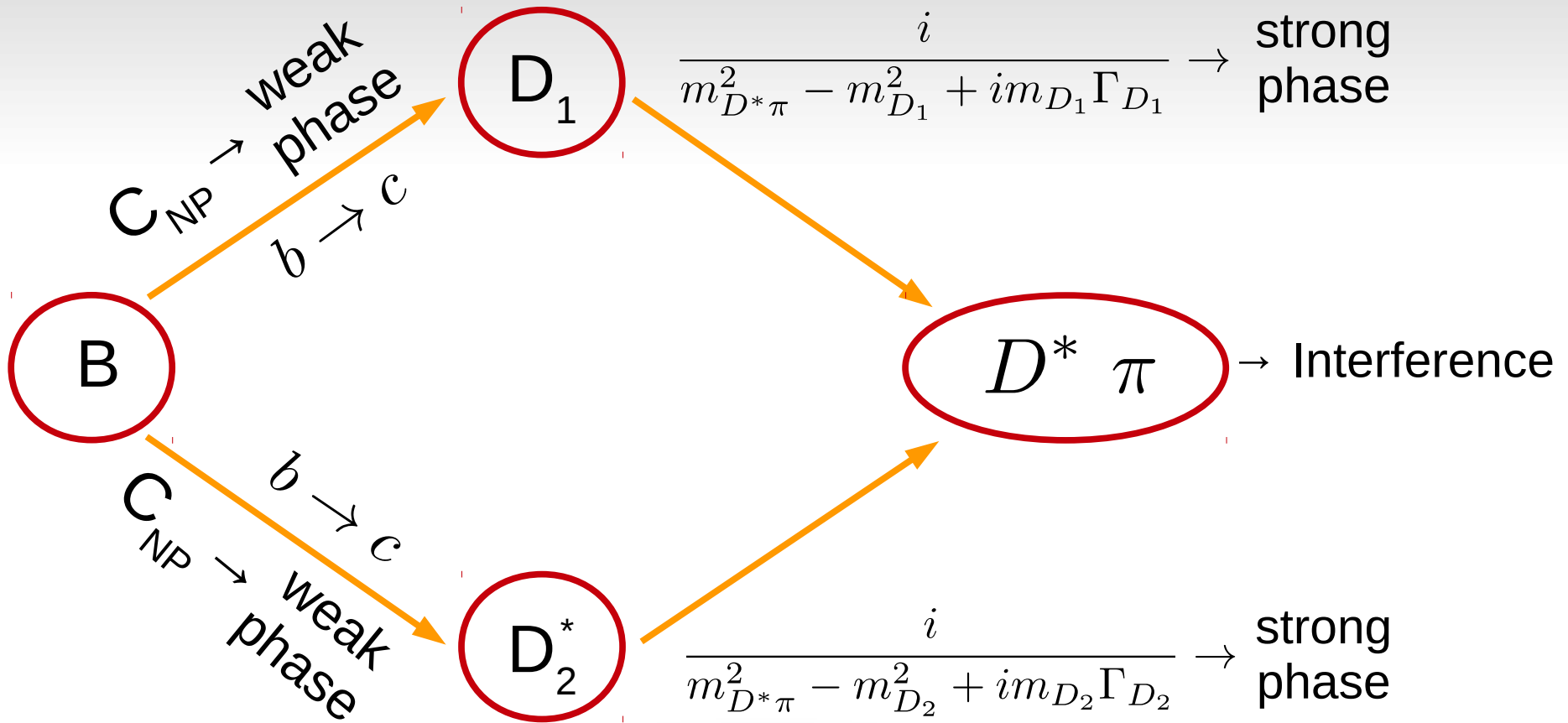
How does it work?



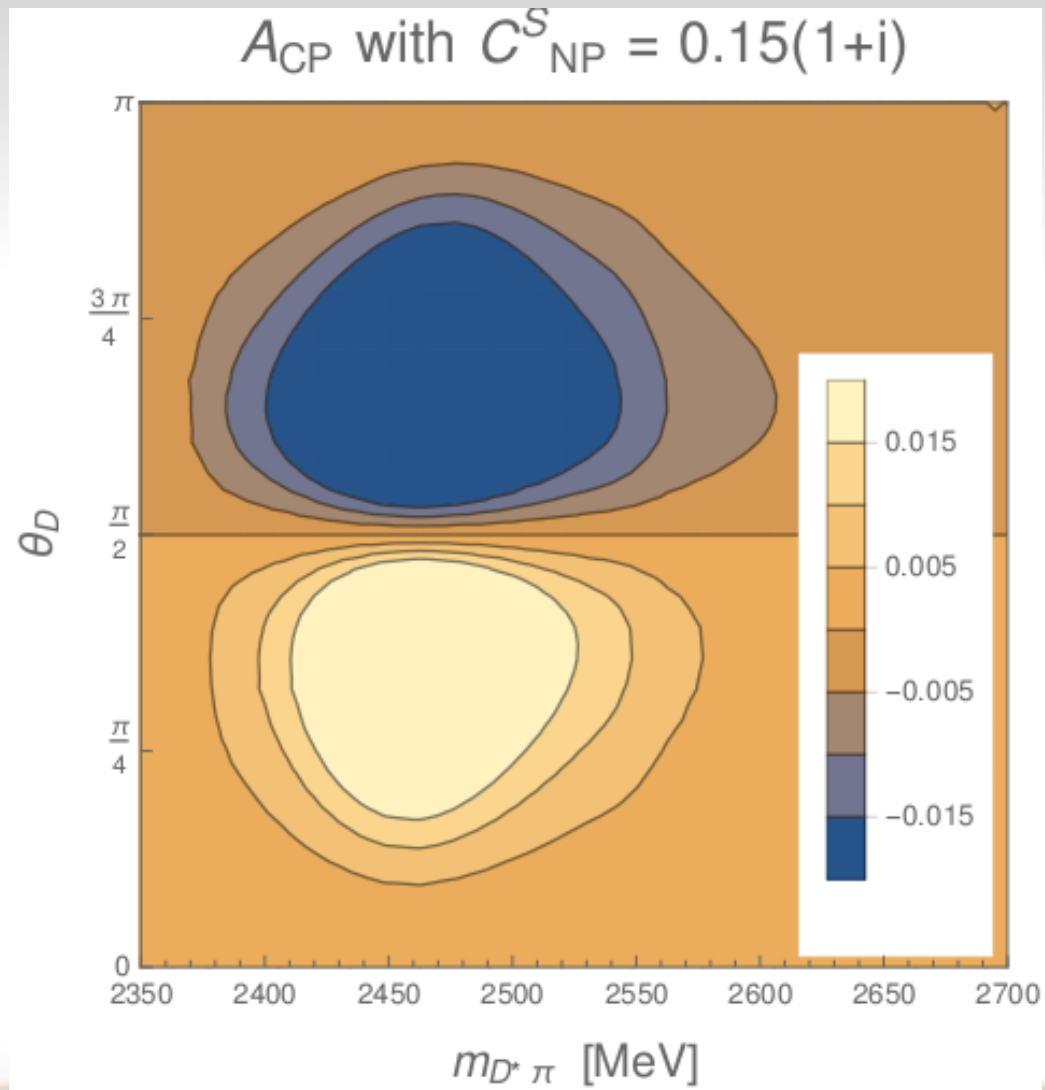
How does it work?



How does it work?



What do we get?



Summary

Summary

$$R(D) \quad B_s \rightarrow \mu\mu \quad R(K)$$

$$P'_5 \quad V_{cb} \quad R(D^*) \quad \Lambda_b \rightarrow \Lambda\mu\mu$$

$$R(K^*) \quad B \rightarrow K^* \mu\mu \quad B_s \rightarrow \phi\mu\mu$$

$$B \rightarrow K\mu\mu \quad R(J/\psi)$$

Summary

$R(D)$ no σ $B_s \rightarrow \mu\mu$ $R(K)$
 V_{cb}
 4.1σ P'_5 $R(D^*)$ 3.5σ $\Lambda_b \rightarrow \Lambda\mu\mu$
 $(1-3)\sigma$
 $R(K^*)$ maybe σ $B_s \rightarrow \phi\mu\mu$
 $B \rightarrow K^*\mu\mu$
 0.8σ $R(J/\psi)$ 2σ ish
 $B \rightarrow K\mu\mu$

Summary

$R(D)$ $\text{no } \sigma$ $B_s \rightarrow \mu\mu$ $R(K)$
 Υ lepton non-universality

4.1σ P_5' $R(D^*)$ $\Lambda_b \rightarrow \Lambda\mu\mu$
 $(1 - 3)\sigma$

CPV with excited charm mesons

0.8σ $B \rightarrow K^* \mu\mu$ $B_s \rightarrow \psi\mu\mu$
 $B \rightarrow K\mu\mu$ $R(J/\psi)$ 2σ ish

Thank you!

