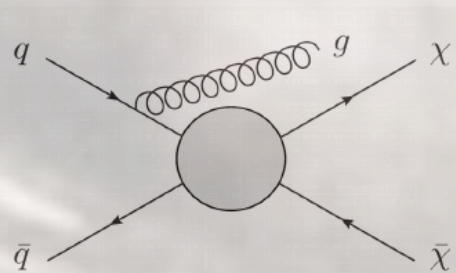


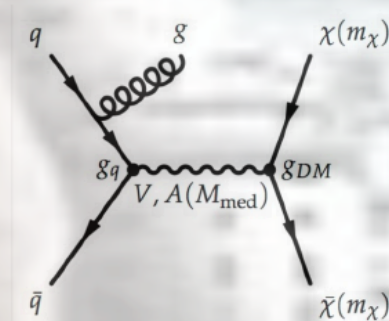
SUSY & DARK MATTER @ LHC

Oliver Buchmueller, Imperial College London

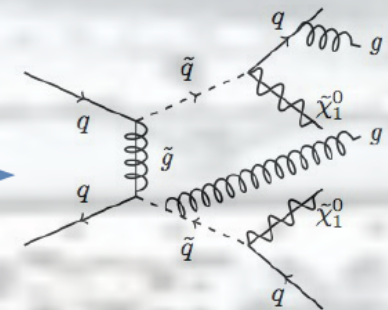
**GALILEO GALILEI INSTITUTE WORKSHOP:
"COLLIDER PHYSICS AND THE COSMOS"
SEP 6, 2017**



EFTs



Simplified Models



UV-complete Models

Characterisation of Dark Matter searches at colliders

Simplicity vs. Complexity

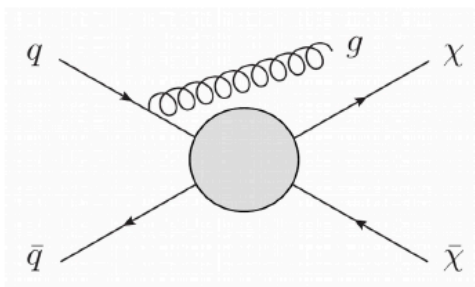
Finding the right balance is a challenge!



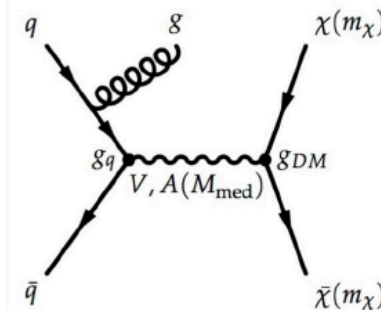
Characterisation of Dark Matter searches at colliders

Simplicity vs. Complexity

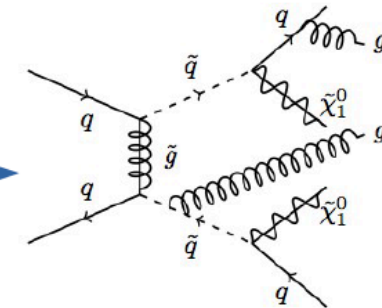
Finding the right balance is a challenge!



EFTs



Simplified Models

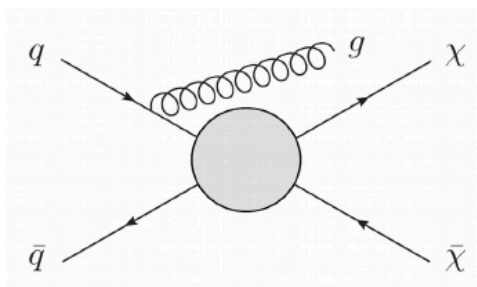


UV-complete Models

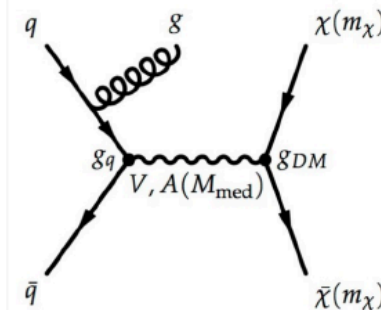
Characterisation of Dark Matter searches at colliders

Simplicity vs. Complexity

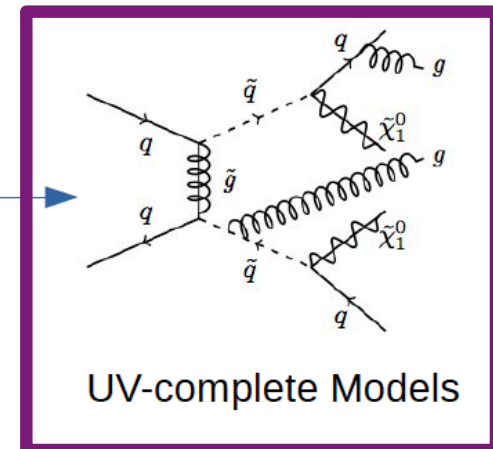
Finding the right balance is a challenge!



EFTs



Simplified Models

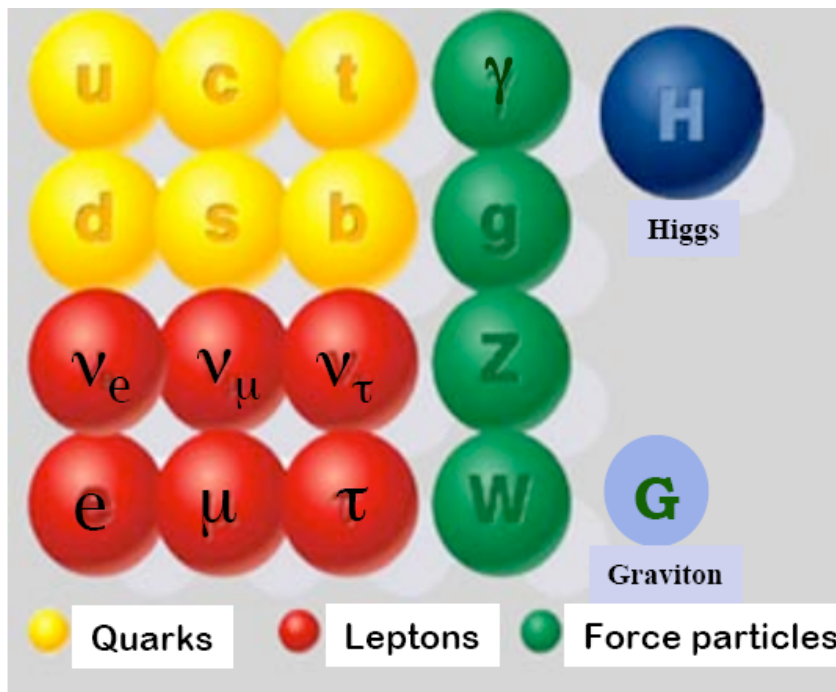


UV-complete Models

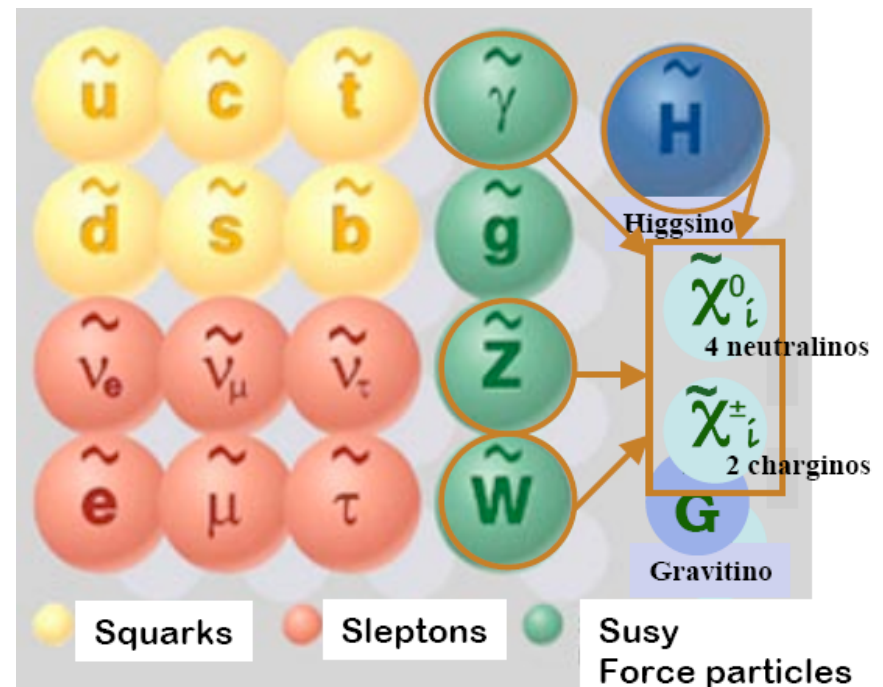
Supersymmetry

Extension of the Standard Model: Introduce a new symmetry
Spin 1/2 matter particles (fermions) \Leftrightarrow Spin 1 force carriers (bosons)

Standard Model particles



SUSY particles

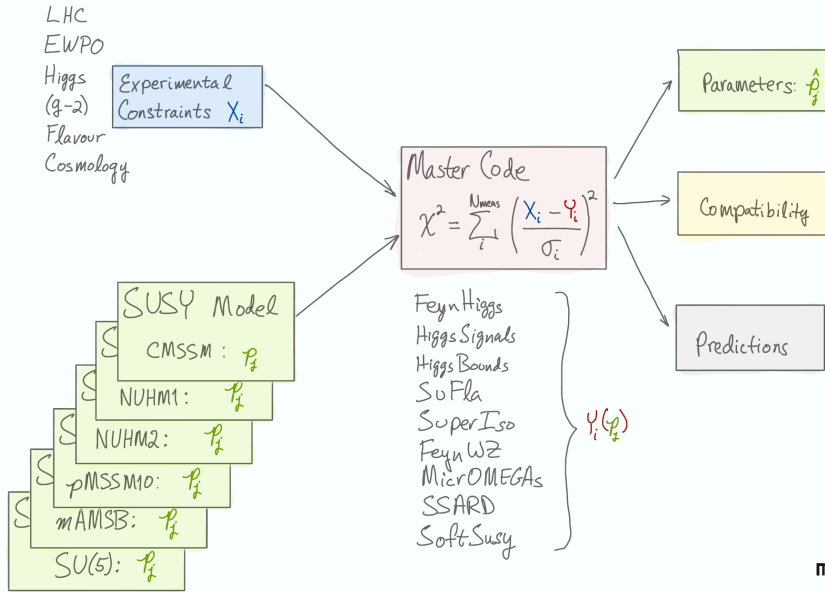


New Quantum number: R-parity: $R_p = (-1)^{B+L+2s} = +1$ SM particles
R-parity conservation: -1 SUSY particles

- SUSY particles are produced in pairs
- The lightest SUSY particle (LSP) is stable

Dark Matter in Supersymmetry with MasterCode

Global Fit to indirect and direct constraints on SUSY!



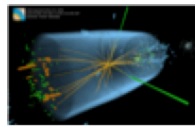
Source:
<http://mastercode.web.cern.ch/mastercode/>

Observable	Source Th./Ex.	Constraint	$\Delta\chi^2$ (CMSSM)	$\Delta\chi^2$ (NUHM1)	$\Delta\chi^2$ ("SM")
m_t [GeV]	[43]	173.2 ± 0.90	0.05	0.06	-
$\Delta a_\mu^{(SM)}$ (M_Z)	[42]	0.02749 ± 0.00010	0.009	0.004	-
M_Z [GeV]	[44]	91.1875 ± 0.0021	2.7×10^{-2}	0.26	-
Γ_Z [GeV]	[26] / [44]	$2.4952 \pm 0.0023 \pm 0.001_{\text{SUSY}}$	0.078	0.047	0.14
σ_{had}^0 [nb]	[26] / [44]	41.540 ± 0.037	2.50	2.57	2.54
R_t	[26] / [44]	20.767 ± 0.025	1.05	1.08	1.08
$A_{\text{fb}}(\ell)$	[26] / [44]	0.01714 ± 0.00095	0.72	0.69	0.81
$A_t(P_T)$	[26] / [44]	0.1465 ± 0.0032	0.11	0.13	0.07
R_b	[26] / [44]	0.21629 ± 0.00066	0.26	0.29	0.27
R_c	[26] / [44]	0.1721 ± 0.0030	0.002	0.002	0.002
$A_{\text{fb}}(b)$	[26] / [44]	0.0992 ± 0.0016	7.17	7.37	6.63
$A_{\text{fb}}(c)$	[26] / [44]	0.0707 ± 0.0035	0.86	0.88	0.80
A_b	[26] / [44]	0.923 ± 0.020	0.36	0.36	0.35
A_c	[26] / [44]	0.670 ± 0.027	0.005	0.005	0.005
$A_t(\text{SLD})$	[26] / [44]	0.1513 ± 0.0021	3.16	3.03	3.51
$\sin^2 \theta_C^{\text{SLD}}$ (Q_{FB})	[26] / [44]	0.2324 ± 0.0012	0.63	0.64	0.59
M_W [GeV]	[26] / [44]	$80.399 \pm 0.023 \pm 0.010_{\text{SUSY}}$	1.77	1.99	2.08
$a_\mu^{\text{EXP}} - a_\mu^{\text{SM}}$	[53] / [42,54]	$(30.2 \pm 8.8 \pm 2.0_{\text{SUSY}}) \times 10^{-10}$	4.35	1.82	11.19 (N/A)
M_h [GeV]	[28] / [55,56]	$> 114.4 [\pm 1.5_{\text{SUSY}}]$	0.0	0.0	0.0
$\text{BR}_{b \rightarrow s\gamma}^{\text{EXP/SM}}$	[45] / [46]	$1.117 \pm 0.076_{\text{EXP}} \pm 0.082_{\text{SM}} \pm 0.050_{\text{SUSY}}$	1.83	1.09	0.94
$\text{BR}(B_s \rightarrow \mu^+ \mu^-)$	[29] / [41]	CMS & LHCb	0.04	0.44	0.01
$\text{BR}_{\text{B} \rightarrow \text{TV}}^{\text{EXP/SM}}$	[29] / [46]	$1.43 \pm 0.43_{\text{EXP+TH}}$	1.43	1.59	1.00
$\text{BR}(B_d \rightarrow \mu^+ \mu^-)$	[29] / [46]	$< 4.6 [\pm 0.01_{\text{SUSY}}] \times 10^{-9}$	0.0	0.0	0.0
$\text{BR}_{\text{B} \rightarrow \text{Xoff}}^{\text{EXP/SM}}$	[47] / [46]	0.99 ± 0.32	0.02	$\ll 0.01$	$\ll 0.01$
$\text{BR}_{K \rightarrow \mu\nu}^{\text{EXP/SM}}$	[29] / [48]	$1.008 \pm 0.014_{\text{EXP+TH}}$	0.39	0.42	0.33
$\text{BR}_{K \rightarrow \pi\nu}^{\text{EXP/SM}}$	[49] / [50]	< 4.5	0.0	0.0	0.0
$\Delta M_{B_s}^{\text{EXP/SM}}$	[49] / [51,52]	$0.97 \pm 0.01_{\text{EXP}} \pm 0.27_{\text{SM}}$	0.02	0.02	0.01
$\frac{\Delta M_{B_d}^{\text{EXP/SM}}}{\Delta M_{B_s}^{\text{EXP/SM}}}$	[29] / [46,51,52]	$1.00 \pm 0.01_{\text{EXP}} \pm 0.13_{\text{SM}}$	$\ll 0.01$	0.33	$\ll 0.01$
$\Delta M_{K^*}^{\text{EXP/SM}}$	[49] / [51,52]	$1.08 \pm 0.14_{\text{EXP+TH}}$	0.27	0.37	0.33
$\Omega_{\text{CDM}} h^2$	[31] / [13]	$0.1120 \pm 0.0056 \pm 0.012_{\text{SUSY}}$	8.4×10^{-4}	0.1	N/A
σ_p^{21}	[25]	$(m_{\text{eq}}, \sigma_p^{21})$ plane	0.13	0.13	N/A
$\text{jets} + \cancel{E}_T$	[18,20]	$(m_0, m_{1/2})$ plane	1.55	2.20	N/A
$H/A, H^\pm$	[21]	$(M_A, \tan \beta)$ plane	0.0	0.0	N/A
Total $\chi^2/\text{d.o.f.}$ p-values	All	All	28.8/22 15%	27.3/21 16%	32.7/23 (21.5/22) 9% (49%)

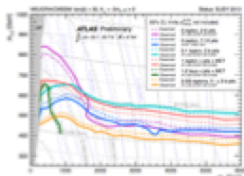
Direct Constraints

Indirect Constraints

Dark Matter Constraints



Lightest Higgs

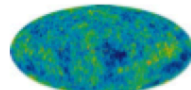


SUSY particles

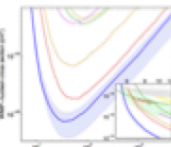
M_W , Z-pole
(g-2) $_\mu$
Electroweak
observables



Flavour
observables



CMB



Direct Detection

Dark Matter in Supersymmetry with MasterCode

Global Fit to indirect and direct constraints on SUSY!

LHC
EWPO

O. Buchmueller^a, R. Cavanaugh^{b,c}, A. De Roeck^{d,e}, M.J. Dolan^f, J.R. Ellis^{g,d}, H. Flächer^h,
S. Heinemeyerⁱ, G. Isidori^{j,d}, J. Marrouche^a, D. Martínez Santos^k, K.A. Olive^l,
S. Rogerson^a, F.J. Ronga^m, K.J. de Vries^a, G. Weigleinⁿ

^aHigh Energy Physics Group, Blakett Laboratory, Imperial College, Prince Consort Road, London SW7 2AZ, UK

^bFermi National Accelerator Laboratory, P.O. Box 500, Batavia, Illinois 60510, USA

^cPhysics Department, University of Illinois at Chicago, Chicago, Illinois 60607-7059, USA

^dPhysics Department, CERN, CH-1211 Genève 23, Switzerland

^eAntwerp University, B-2610 Wilrijk, Belgium

^fTheory Group, SLAC National Accelerator Laboratory, 2575 Sand Hill Road, Menlo Park, CA 94025-7090, USA

^gTheoretical Particle Physics and Cosmology Group, Department of Physics, King's College London, London WC2R 2LS, UK

^hH.H. Wills Physics Laboratory, University of Bristol, Tyndall Avenue, Bristol BS8 1TL, UK

ⁱInstituto de Física de Cantabria (CSIC-UC), E-39005 Santander, Spain

^jINFN, Laboratori Nazionali di Frascati, Via E. Fermi 40, I-00044 Frascati, Italy

^kNIKHEF and VU University Amsterdam, Science Park 105, NL-1098 XG Amsterdam, The Netherlands

^lWilliam I. Fine Theoretical Physics Institute, School of Physics and Astronomy, University of Minnesota, Minneapolis, Minnesota 55455, USA

^mInstitute for Particle Physics, ETH Zürich, CH-8093 Zürich, Switzerland

ⁿDESY, Notkestrasse 85, D-22607 Hamburg, Germany



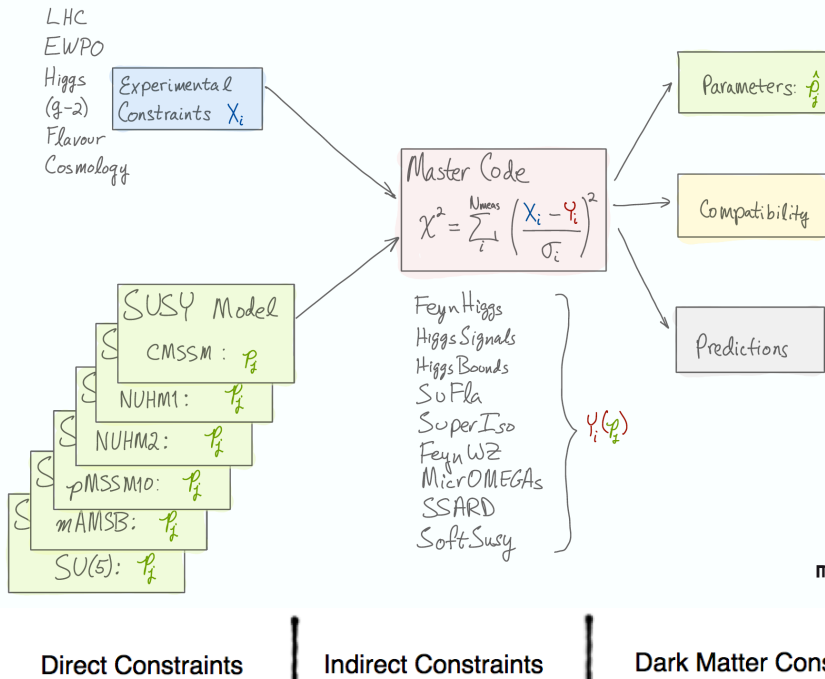
b.cern.ch/mastercode/

Constraint	$\Delta\chi^2$ (CMSSM)	$\Delta\chi^2$ (NUHM1)	$\Delta\chi^2$ ("SM")
± 0.90	0.05	0.06	-
± 0.00010	0.009	0.004	-
± 0.0021	2.7×10^{-2}	0.26	-
$23 \pm 0.001_{\text{SUSY}}$	0.078	0.047	0.14
± 0.037	2.50	2.57	2.54
± 0.025	1.05	1.08	1.08
± 0.00095	0.72	0.69	0.81
± 0.0032	0.11	0.13	0.07
± 0.00066	0.26	0.29	0.27
± 0.0030	0.002	0.002	0.002
± 0.0016	7.17	7.37	6.63
± 0.0035	0.86	0.88	0.80
± 0.020	0.36	0.36	0.35
± 0.027	0.005	0.005	0.005
± 0.0021	3.16	3.03	3.51
± 0.0012	0.63	0.64	0.59
$3 \pm 0.010_{\text{SUSY}}$	1.77	1.99	2.08
$0.0_{\text{SUSY}} \times 10^{-10}$	4.35	1.82	11.19 (N/A)
$\pm 1.5_{\text{SUSY}}$	0.0	0.0	0.0
0.076_{EXP}	1.83	1.09	0.94
$M \pm 0.050_{\text{SUSY}}$			
$\pm \text{LHCb}$	0.04	0.44	0.01
$43_{\text{EXP+TH}}$	1.43	1.59	1.00
$_{\text{SUSY}} \times 10^{-2}$	0.0	0.0	0.0
± 0.32	0.02	$\ll 0.01$	$\ll 0.01$
$014_{\text{EXP+TH}}$	0.39	0.42	0.33
4.5	0.0	0.0	0.0
$\text{EXP} \pm 0.27_{\text{SM}}$	0.02	0.02	0.01
$\text{EXP} \pm 0.13_{\text{SM}}$	$\ll 0.01$	0.33	$\ll 0.01$
$14_{\text{EXP+TH}}$	0.27	0.37	0.33
$56 \pm 0.012_{\text{SUSY}}$	8.4×10^{-4}	0.1	N/A
$_{\text{SM}}^{\text{CP}}$ plane	0.13	0.13	N/A
$_{\text{SM}}^{\text{CP}}$ plane	1.55	2.20	N/A
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All	28.8/22 15%	27.3/21 16%	32.7/23 (21.5/22) 9% (49%)

Total $\chi^2/d.o.f.$ p-values	All	All	All
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Dark Matter in Supersymmetry with MasterCode

Global Fit to indirect and direct constraints on SUSY!



Source:
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$\sin^2 \theta_C^{\text{eff}}(Q_{\text{FB}})$	[26] / [44]	0.2324 ± 0.0012	0.63	0.64	0.59
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$\text{BR}(B_s \rightarrow \mu^+ \mu^-)$	[29] / [41]	CMS & LHCb	0.04	0.44	0.01
$\text{BR}_{\beta \rightarrow \tau\nu}^{\text{EXP/SM}}$	[29] / [46]	$1.43 \pm 0.43_{\text{EXP+TH}}$	1.43	1.59	1.00
$\text{BR}(B_d \rightarrow \mu^+ \mu^-)$	[29] / [46]	$< 4.6[\pm 0.01_{\text{SUSY}}] \times 10^{-9}$	0.0	0.0	0.0
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$\text{BR}_{K \rightarrow \mu\nu}^{\text{EXP/SM}}$	[29] / [48]	$1.008 \pm 0.014_{\text{EXP+TH}}$	0.39	0.42	0.33
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$\frac{\Delta M_{B_s}^{\text{EXP/SM}}}{\Delta M_{B_d}^{\text{EXP/SM}}}$	[29] / [46,51,52]	$1.00 \pm 0.01_{\text{EXP}} \pm 0.13_{\text{SM}}$	$\ll 0.01$	0.33	$\ll 0.01$
$\Delta a_K^{\text{EXP/SM}}$	[49] / [51,52]	$1.08 \pm 0.14_{\text{EXP+TH}}$	0.27	0.37	0.33
$\Omega_{\text{CDM}} h^2$	[31] / [13]	$0.1120 \pm 0.0056 \pm 0.012_{\text{SUSY}}$	8.4×10^{-4}	0.1	N/A
$\sigma_{\text{P}}^{\text{21}}$	[25]	$(m_{\text{sg}}, \sigma_{\text{P}}^{\text{21}})$ plane	0.13	0.13	N/A
$\text{jets} + \cancel{E}_T$	[18,20]	$(m_0, m_{1/2})$ plane	1.55	2.20	N/A
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Other "global Fitters" with similar studies are:

Fittino group: [see e.g. arXiv:1508.05951]

<http://flcwiki.desy.de/Fittino>

Gambit group: [see e.g. arXiv:1705.07917]

<https://gambit.hepforge.org>

SuperBayeS: [see e.g. arXiv:1507.07008]

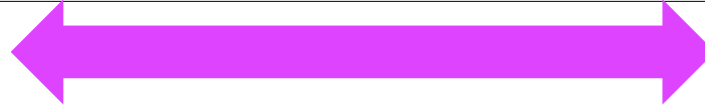
SUSY particles

Flavour observables

Direct Detection

MasterCode: The two worlds of SUSY models

“Soft scale”



“GUT scale”



pMSSM10

$M_1,$

$M_2,$

$M_3,$

$m_{\tilde{q}_{12}},$

$m_{\tilde{q}_3},$

$m_{\tilde{\ell}},$

$A,$

$M_A,$

$\tan \beta$

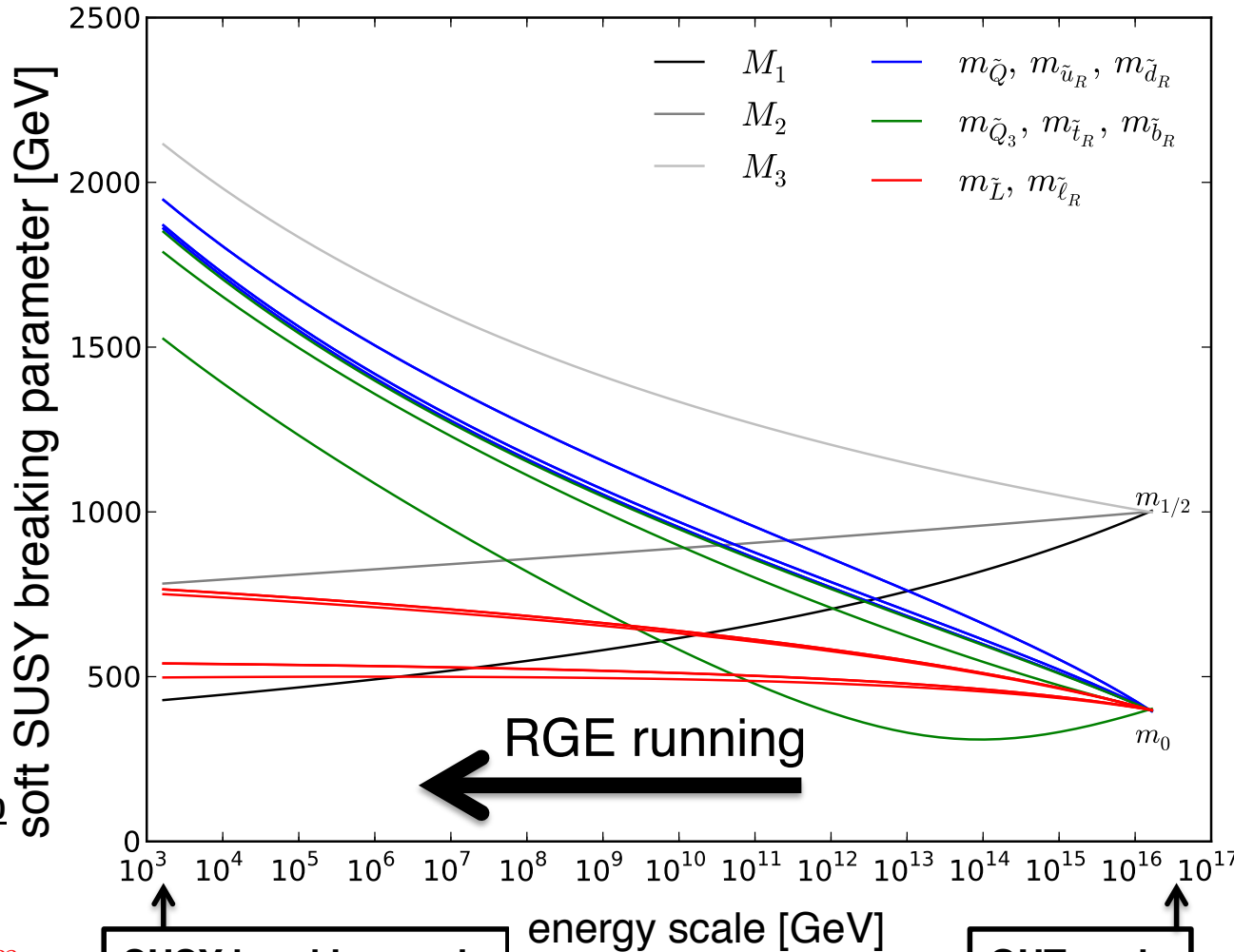
μ

[arXiv:1504.03260](https://arxiv.org/abs/1504.03260)

pMSSM11

$m_{\tilde{\ell}} \rightarrow m_{\tilde{\ell}_{12}}, m_{\tilde{\ell}_3}$

in preparation



SUSY breaking scale

GUT scale

CMSSM

$m_0, m_{1/2},$

$A_0, \tan \beta$

[arXiv:1312.5250](https://arxiv.org/abs/1312.5250)

NUHM1

$m_{H_u}^2 = m_{H_d}^2$

[arXiv:1312.5250](https://arxiv.org/abs/1312.5250)

NUHM2

$m_{H_u}^2 \neq m_{H_d}^2$

[arXiv:1408.4060](https://arxiv.org/abs/1408.4060)

SU5

$m_0 \rightarrow m_5, m_{10}$

[arXiv:1610.10084](https://arxiv.org/abs/1610.10084)

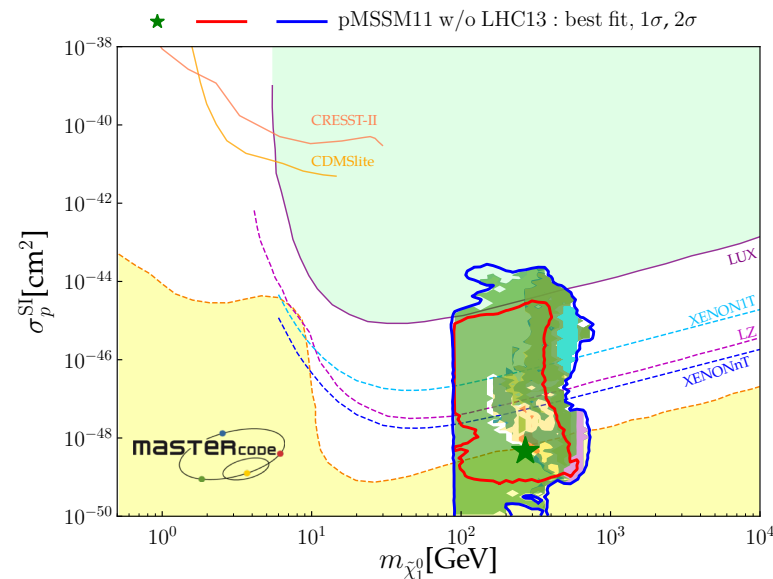
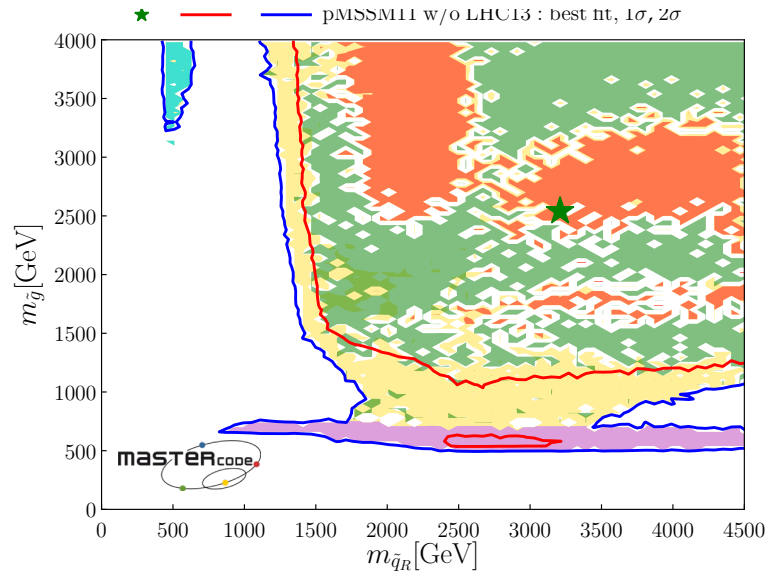
AMSB

$m_0, m_{3/2}, \tan \beta$

[arXiv:1612.05210](https://arxiv.org/abs/1612.05210) ⁹

pMSSM11: Status LHC RUN 1 (pre-LHC 13 TeV)

■ stau coann.
 ■ $\tilde{\chi}_1^\pm$ coann.
 ■ slep coann
 ■ gluino coann.
 ■ squark coann.



DM mechanisms:

To satisfy cosmological DM density constraint requires, in general, specific relations between sparticle masses that suppress the relic density via coannihilation effects and/or rapid annihilations through direct channel resonances.

Define indicative measures to highlight different DM mechanisms in the preferred regions of the fit:

$$\left(\frac{M_{\tilde{\tau}}}{m_{\chi_1^0}} - 1\right) < 0.15 \quad \text{Stau Coannihilation} \quad \left(\frac{M_{\tilde{l}}}{m_{\chi_1^0}} - 1\right) < 0.15 \quad \text{Slepton Coannihilation}$$

$$\left(\frac{M_{\tilde{\chi}_1^\pm}}{m_{\chi_1^0}} - 1\right) < 0.25 \quad \text{Chargino Coannihilation} \quad \left(\frac{M_{\tilde{g}}}{m_{\chi_1^0}} - 1\right) < 0.25 \quad \text{Gluino Coannihilation}$$

$$\left(\frac{M_{\tilde{q}}}{m_{\chi_1^0}} - 1\right) < 0.20 \quad \text{Squark Coannihilation}$$

$$\left|\frac{M_B}{m_{\chi_1^0}} - 2\right| < 0.4 \quad \text{B = h, Z or H/A funnel}$$

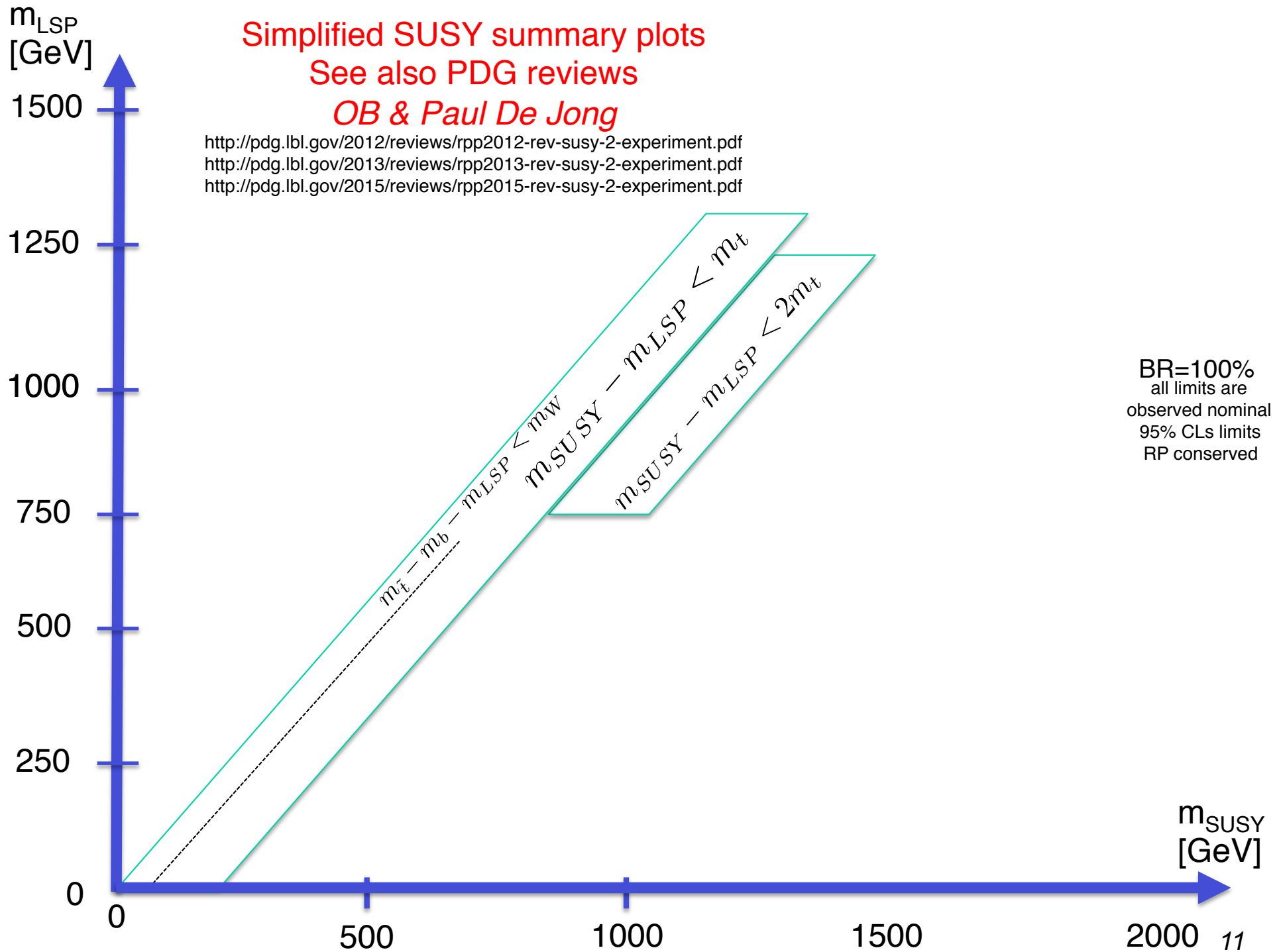
$$\left|\frac{\mu}{m_{\chi_1^0}} - 1\right| < 0.30 \quad \text{Higgsino enriched "focus-point" like}$$

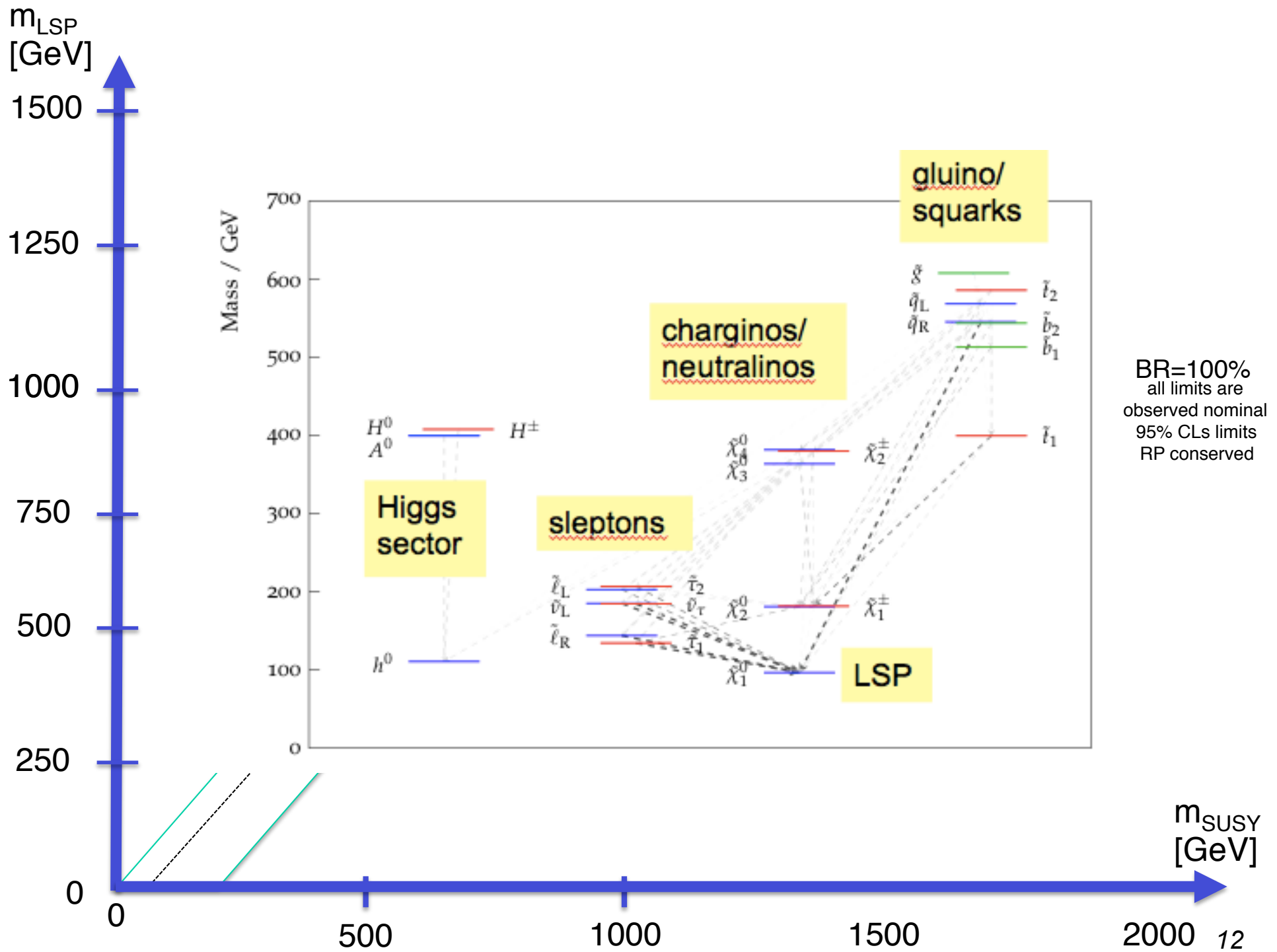
Hybrid regions:
In addition to the 'primary' regions where only one of the conditions is satisfied, there can also be 'hybrid' regions where more than one condition is satisfied. If present, these are indicated using combined colours.

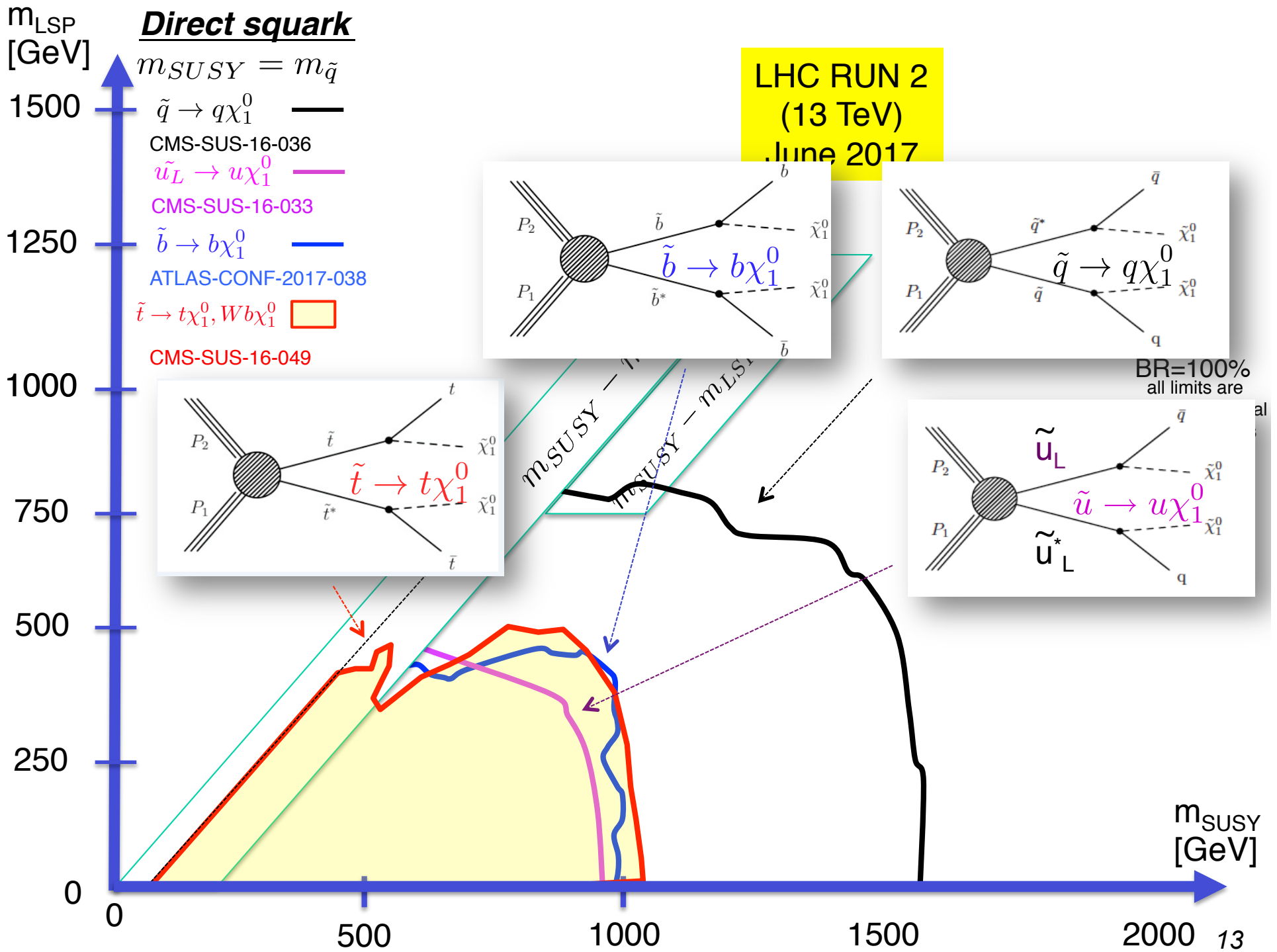
See also [arXiv:1508.01173](https://arxiv.org/abs/1508.01173) for further details

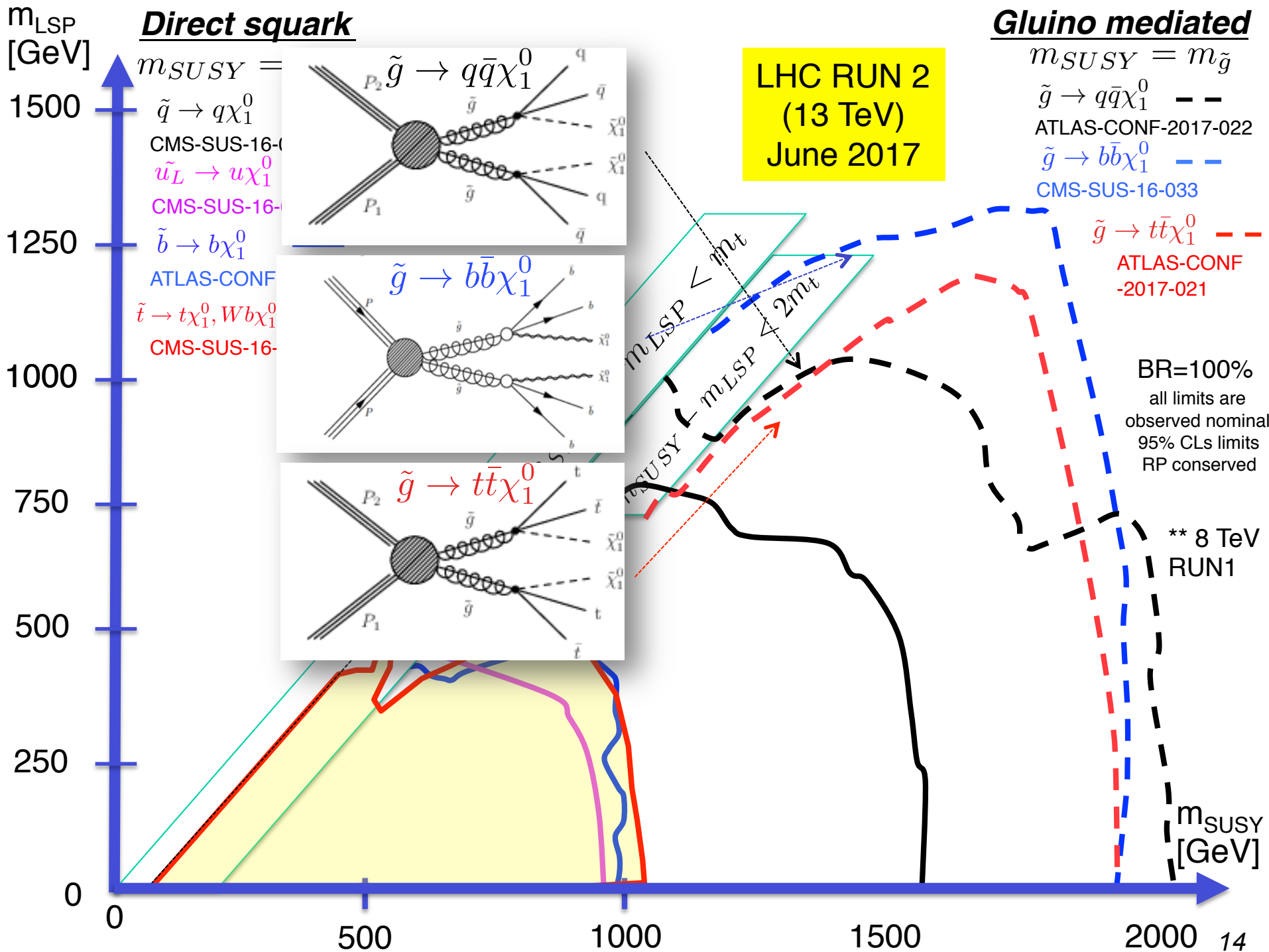
Simplified SUSY summary plots
See also PDG reviews
OB & Paul De Jong

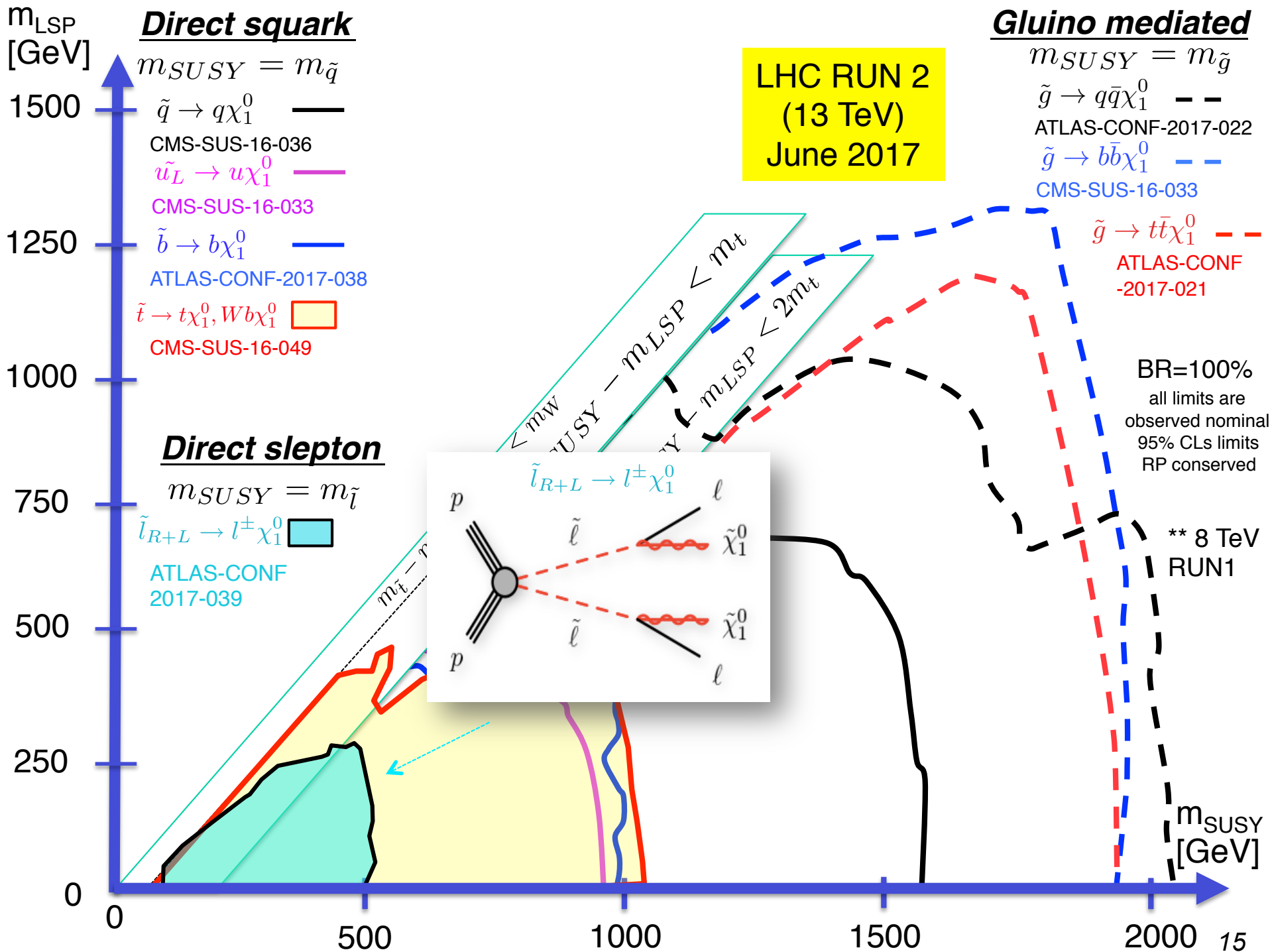
<http://pdg.lbl.gov/2012/reviews/rpp2012-rev-susy-2-experiment.pdf>
<http://pdg.lbl.gov/2013/reviews/rpp2013-rev-susy-2-experiment.pdf>
<http://pdg.lbl.gov/2015/reviews/rpp2015-rev-susy-2-experiment.pdf>

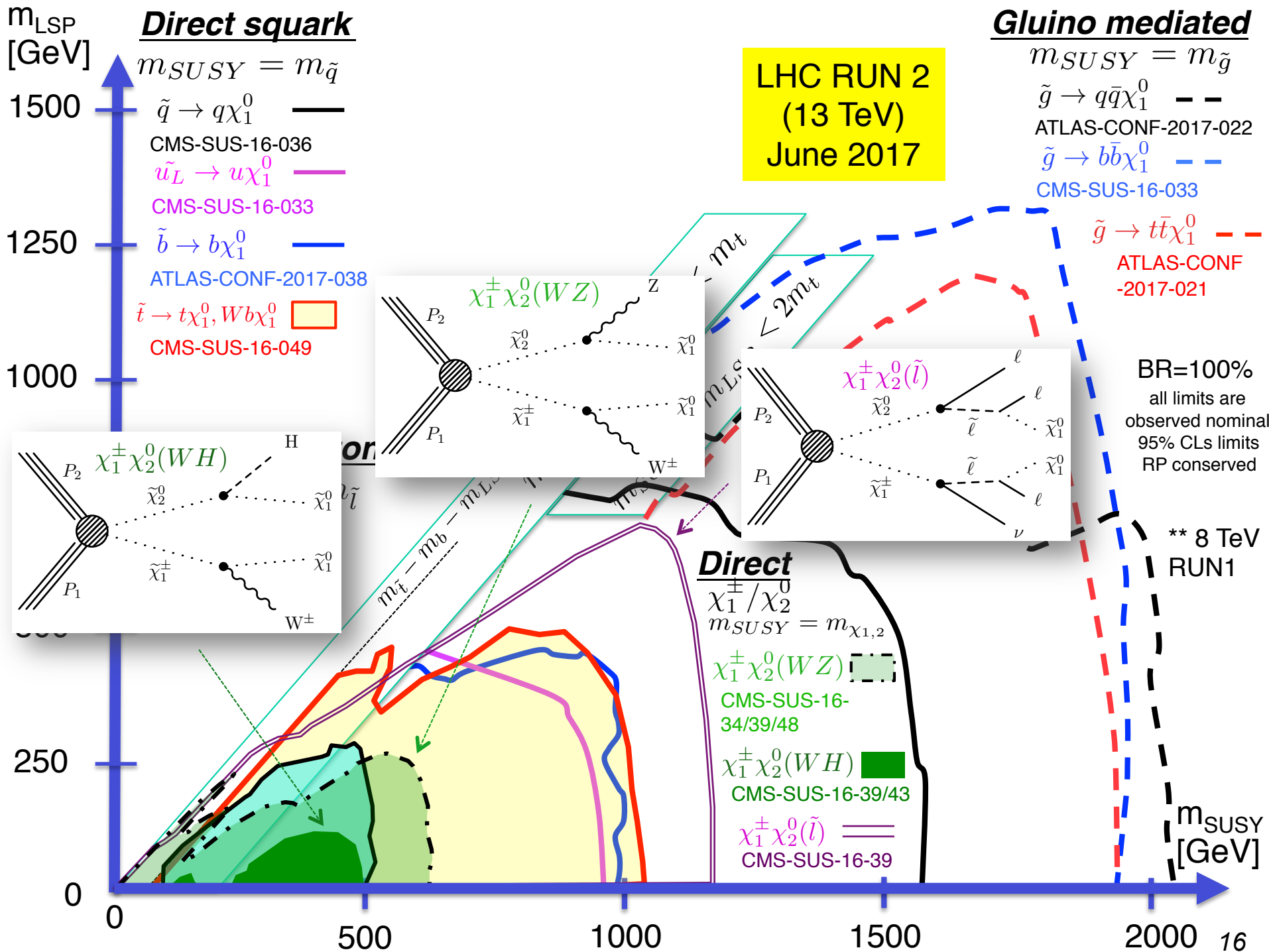


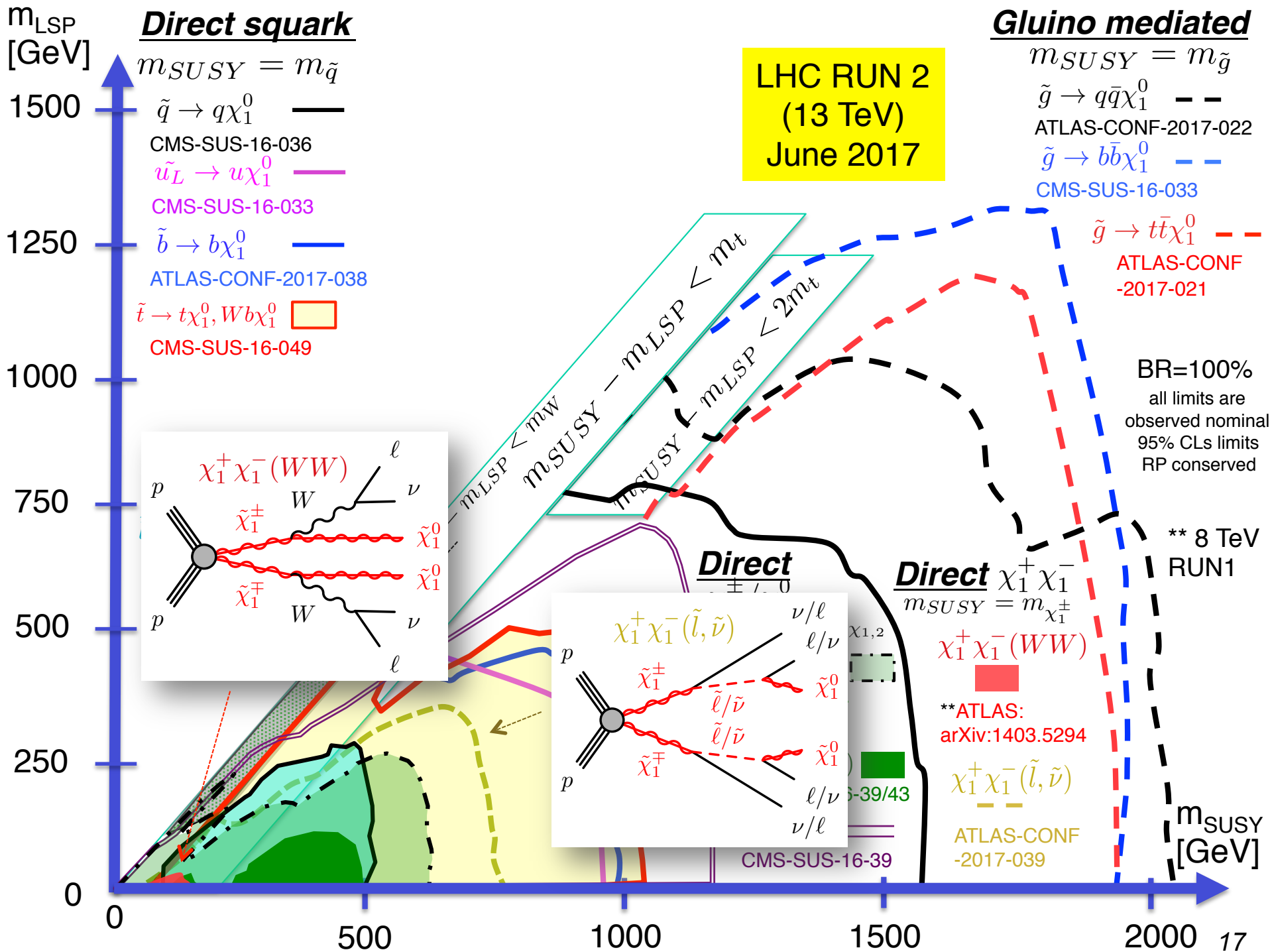


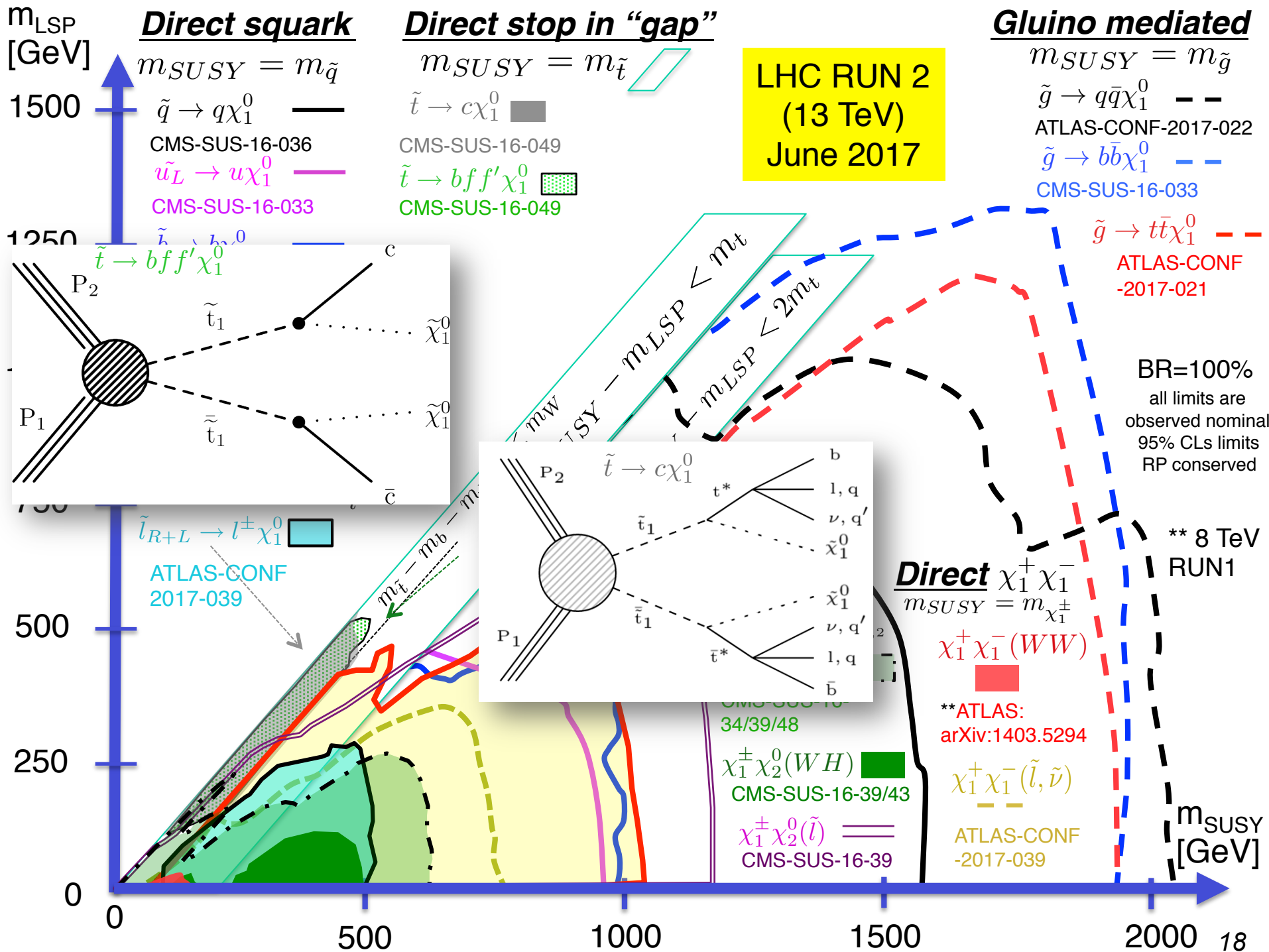


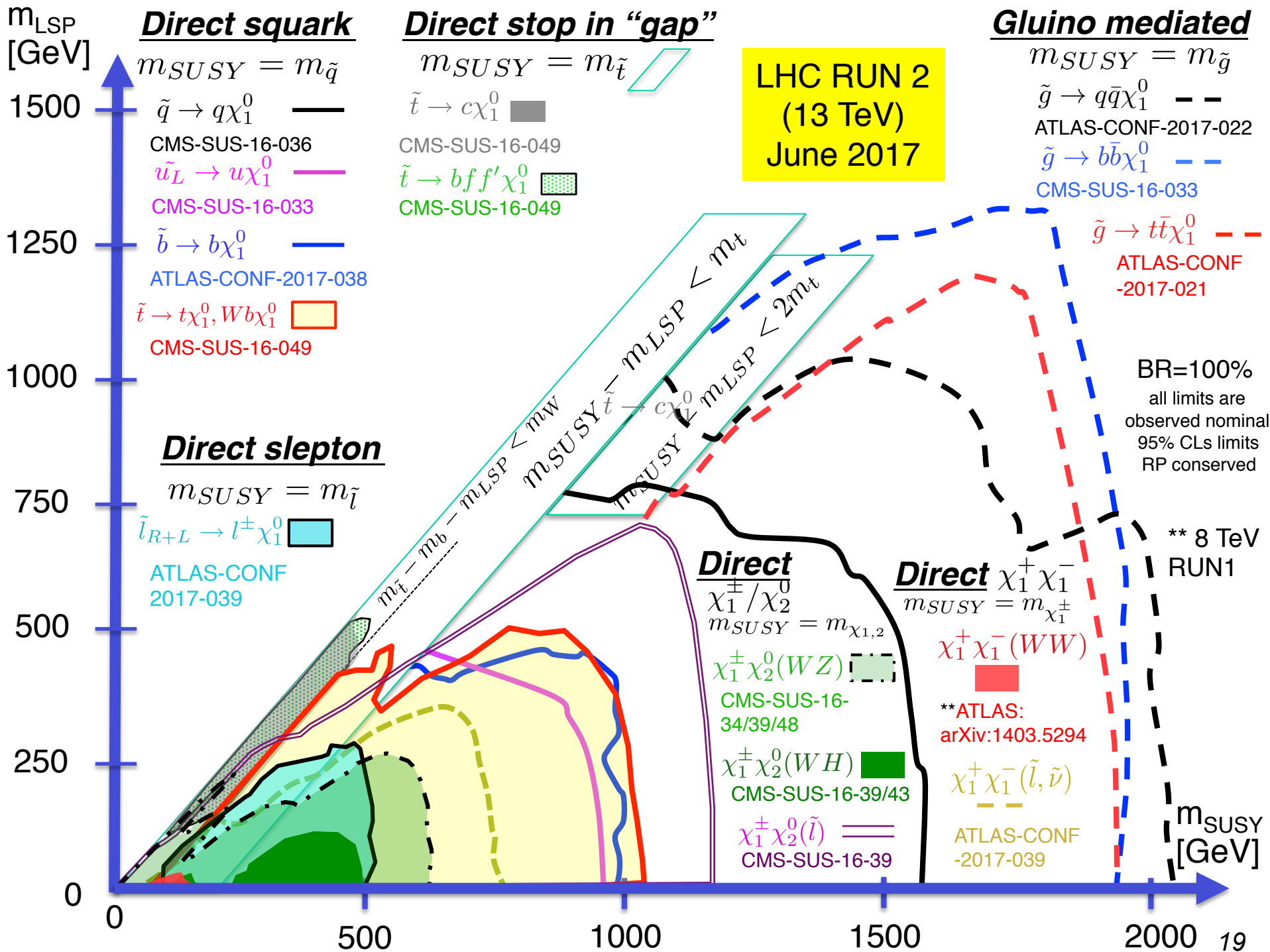


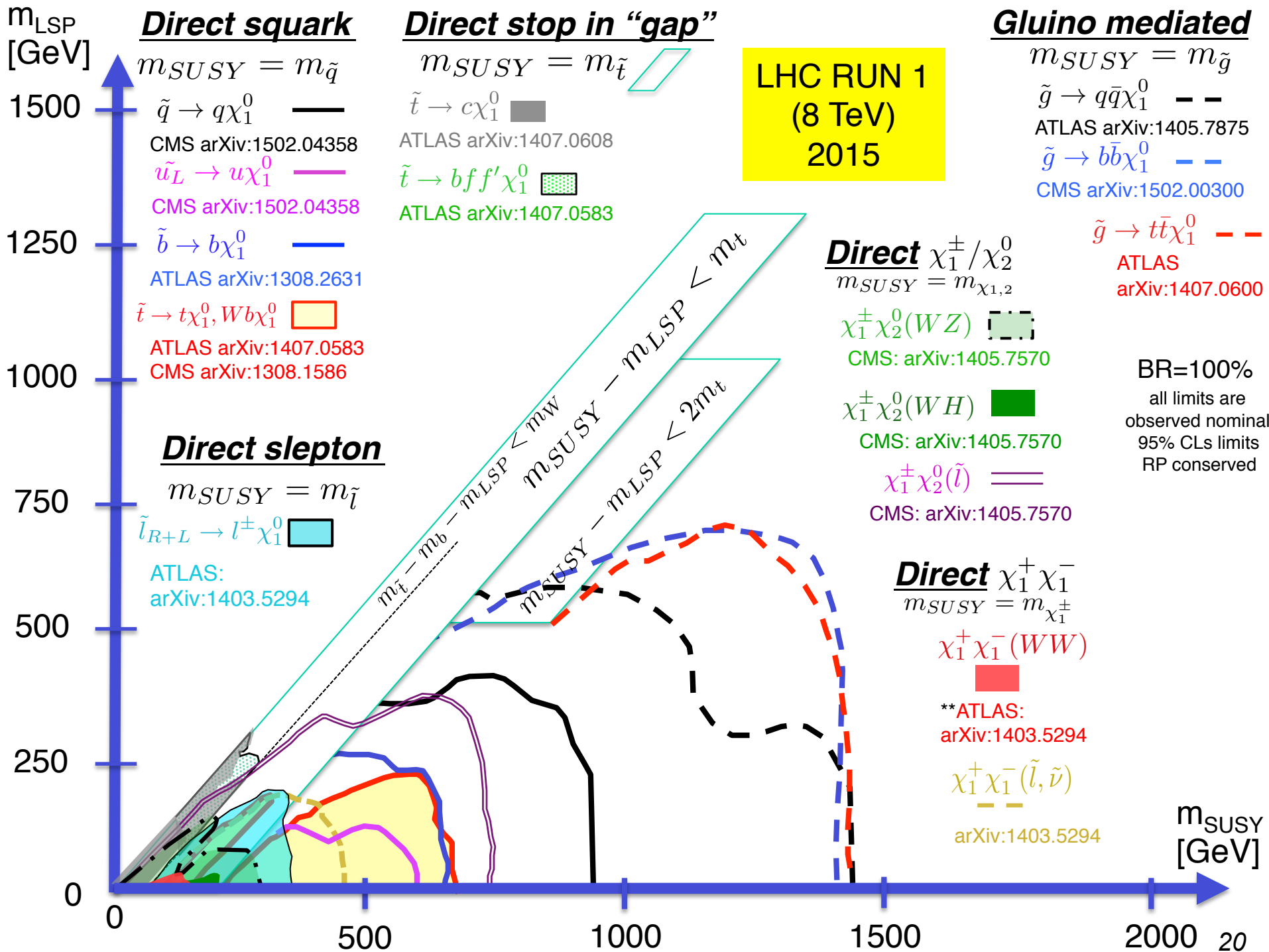








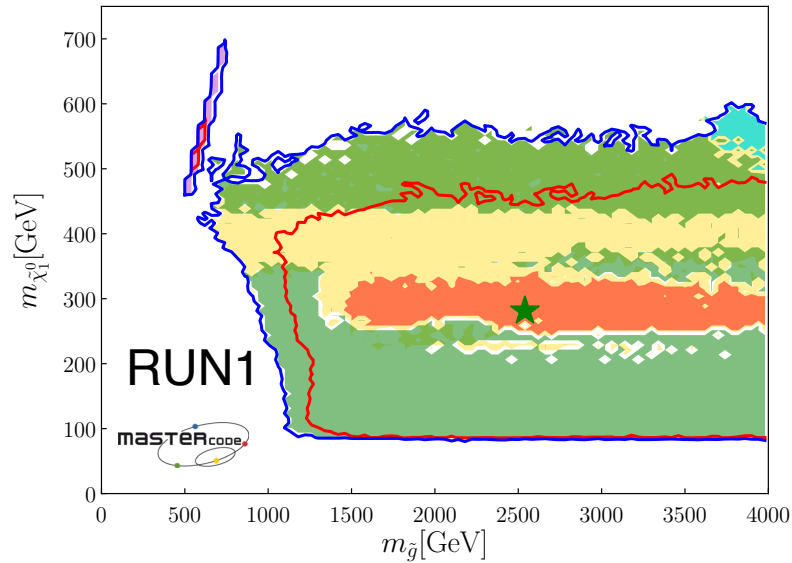




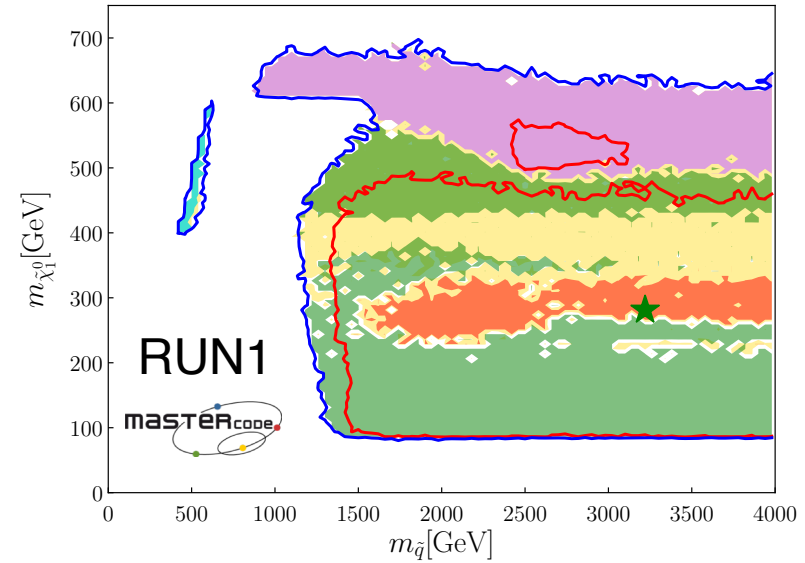
pMSSM11: RUN1 vs 13 TeV (2015 + 2016)

■ stau coann.
 ■ $\tilde{\chi}_1^\pm$ coann.
 ■ slep coann
 ■ gluino coann.
 ■ squark coann.

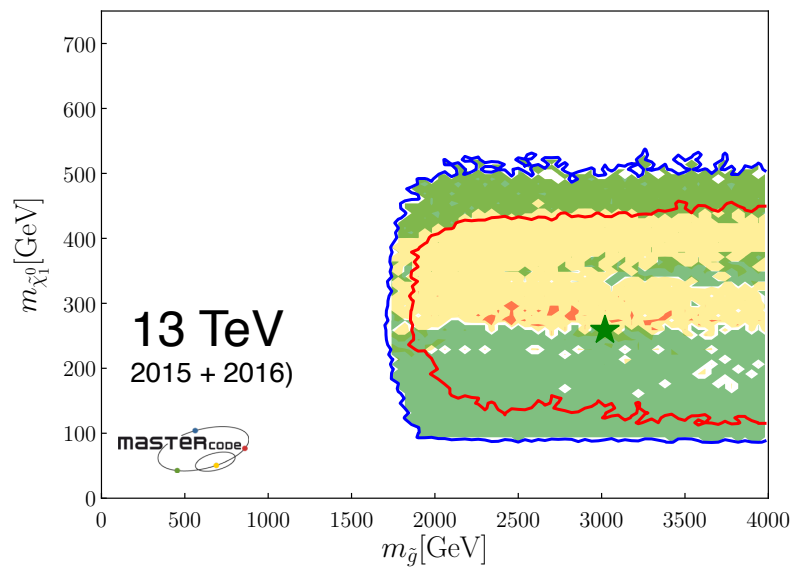
★ — pMSSM11 w/o LHC13 : best fit, 1 σ , 2 σ



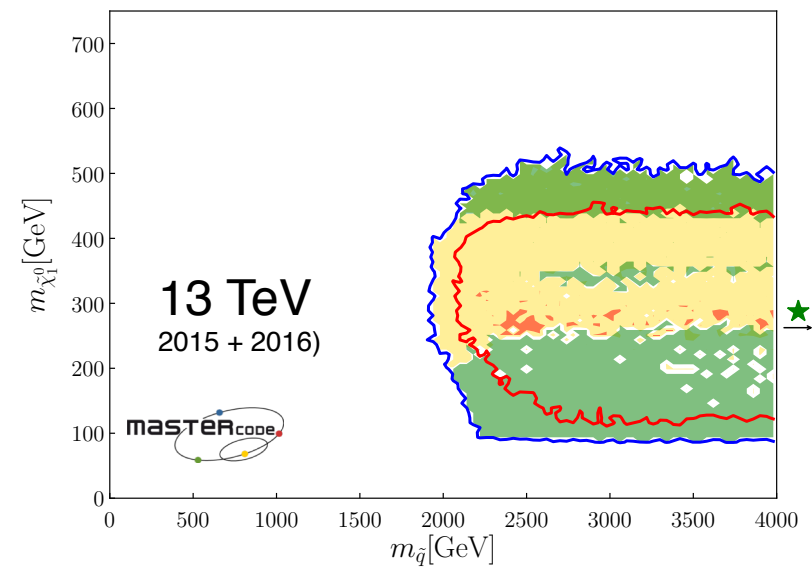
★ — pMSSM11 w/o LHC13 : best fit, 1 σ , 2 σ



★ — pMSSM11 w LHC13 : best fit, 1 σ , 2 σ

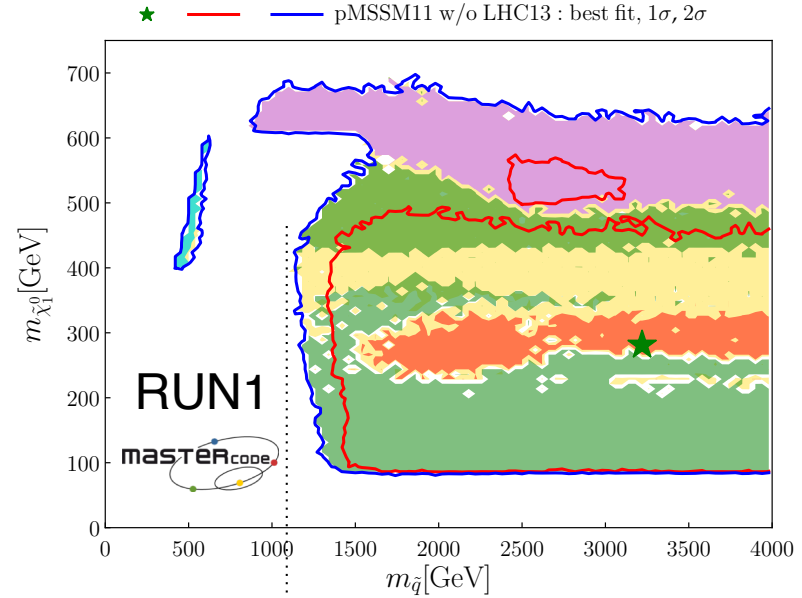
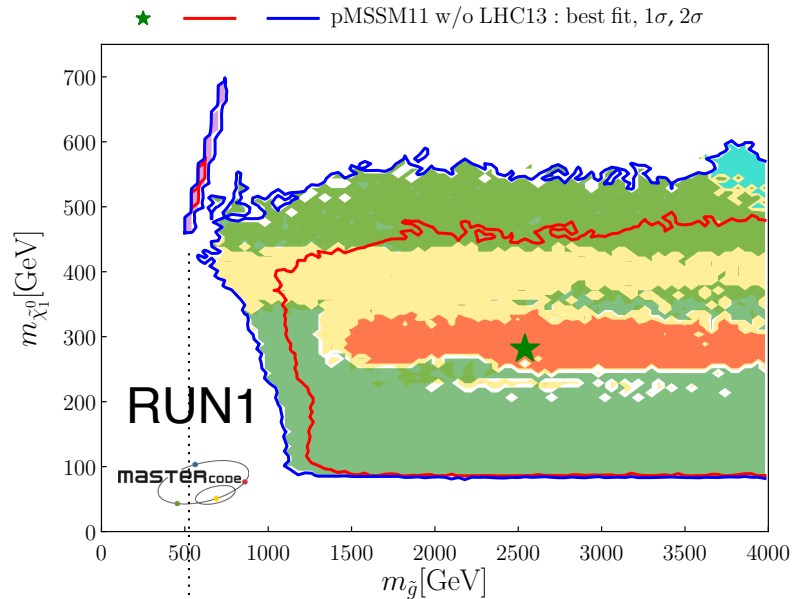


★ — pMSSM11 w LHC13 : best fit, 1 σ , 2 σ

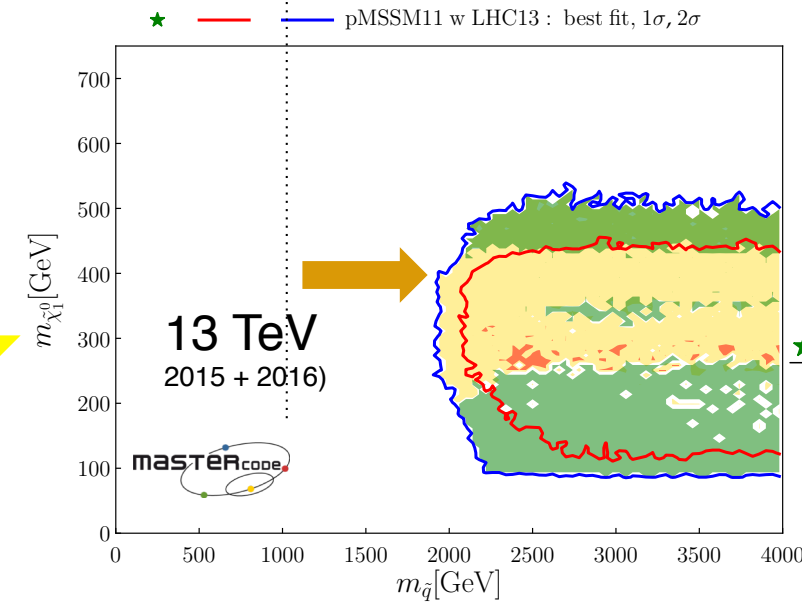
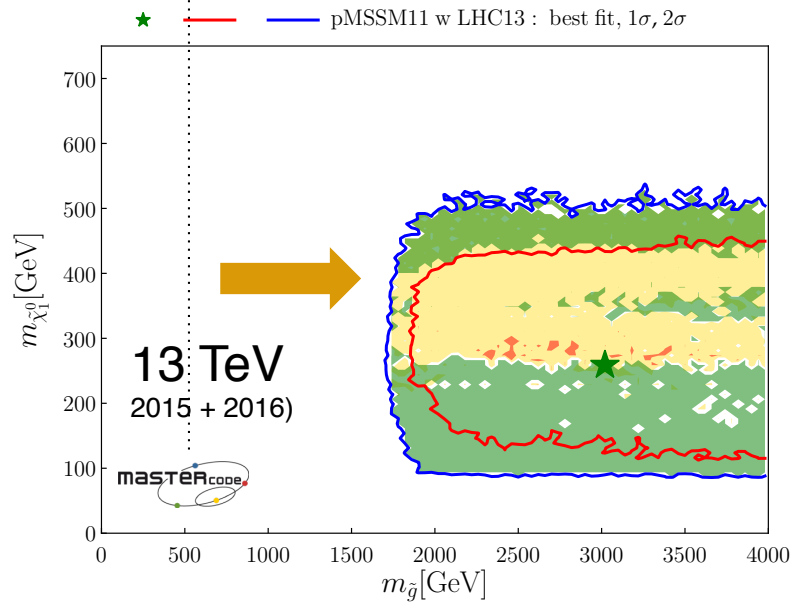


pMSSM11: RUN1 vs 13 TeV (2015 + 2016)

■ stau coann.
 ■ $\tilde{\chi}_1^\pm$ coann.
 ■ slep coann
 ■ gluino coann.
 ■ squark coann.



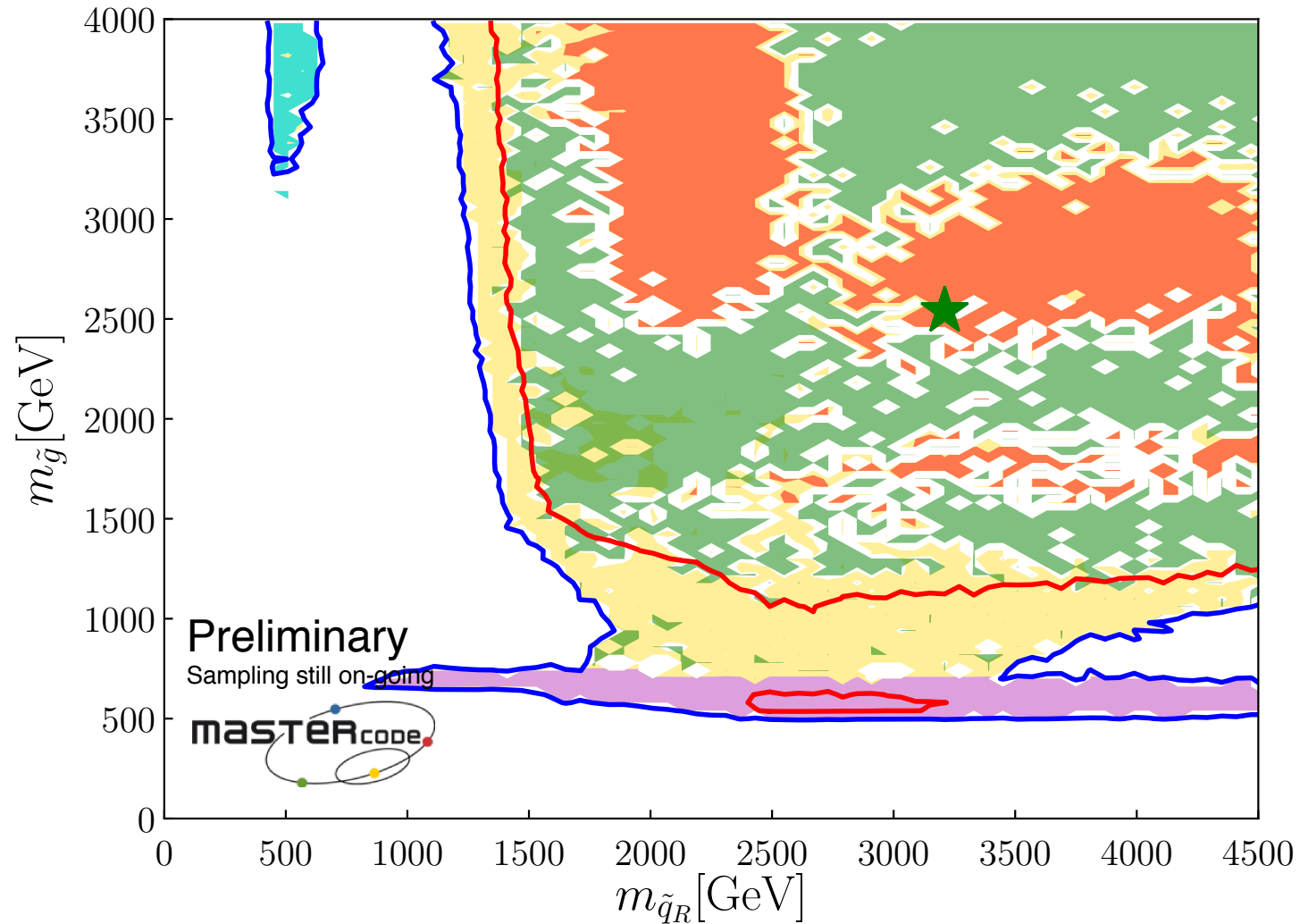
I
M
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T



Glino vs Squark: LHC RUN 1

■ stau coann.
 ■ $\tilde{\chi}_1^\pm$ coann.
 ■ slep coann
 ■ gluino coann.
 ■ squark coann.

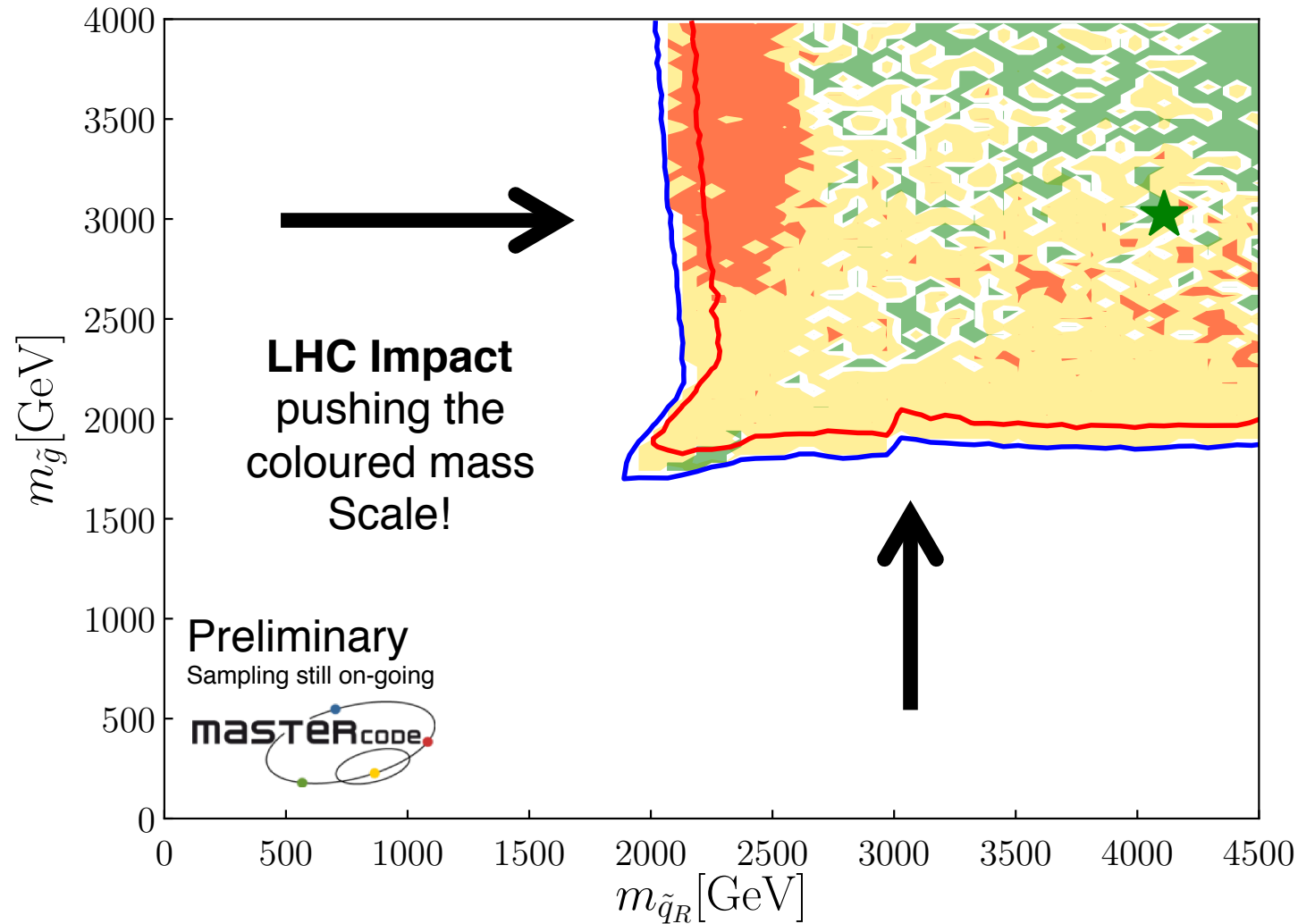
★
 —
 — pMSSM11 w/o LHC13 : best fit, 1σ , 2σ



Gluino vs Squark: LHC RUN 2 (2015 + 2016 data)

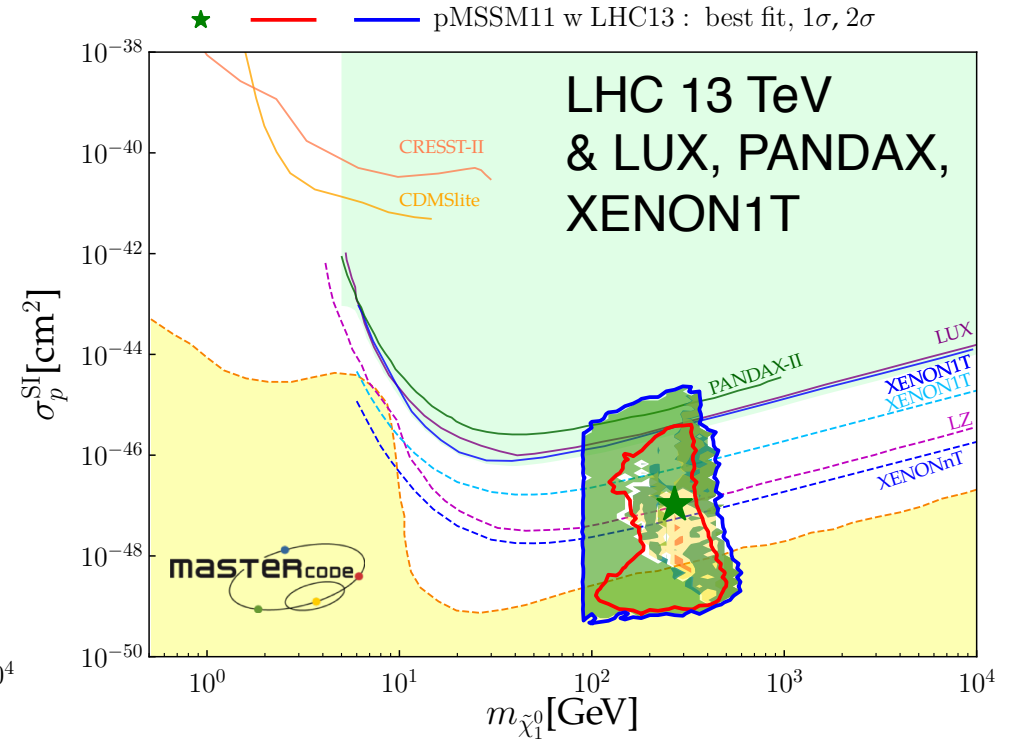
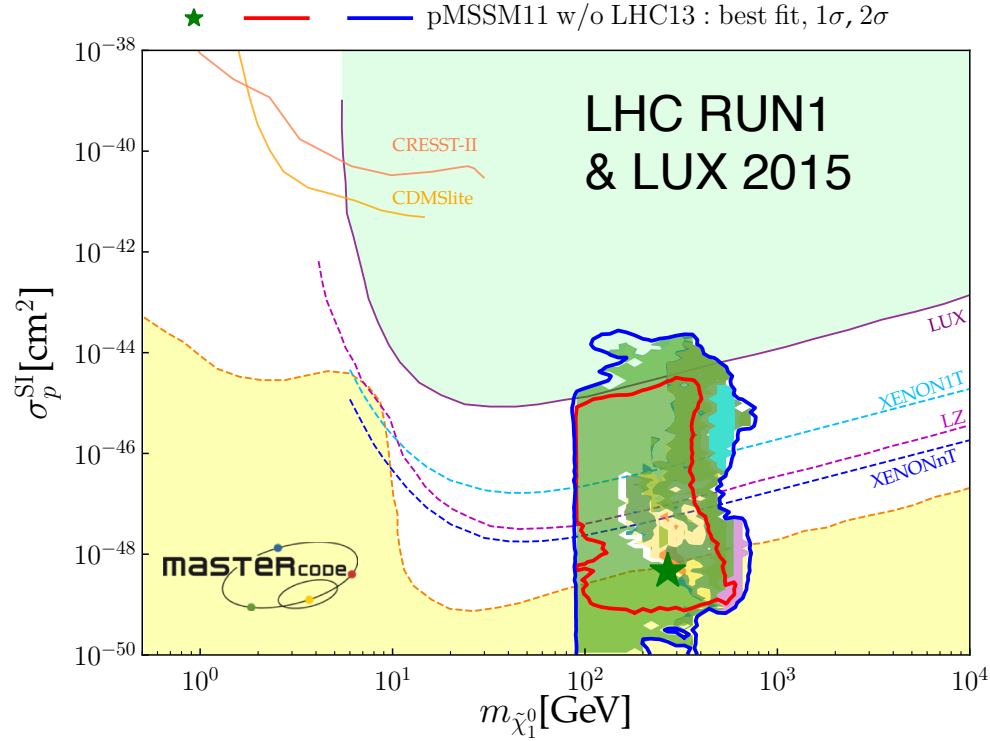
■ stau coann.
 ■ $\tilde{\chi}_1^\pm$ coann.
 ■ slep coann
 ■ gluino coann.
 ■ squark coann.

★
 ——— red ——— blue ——— pMSSM11 w LHC13 : best fit, 1σ , 2σ



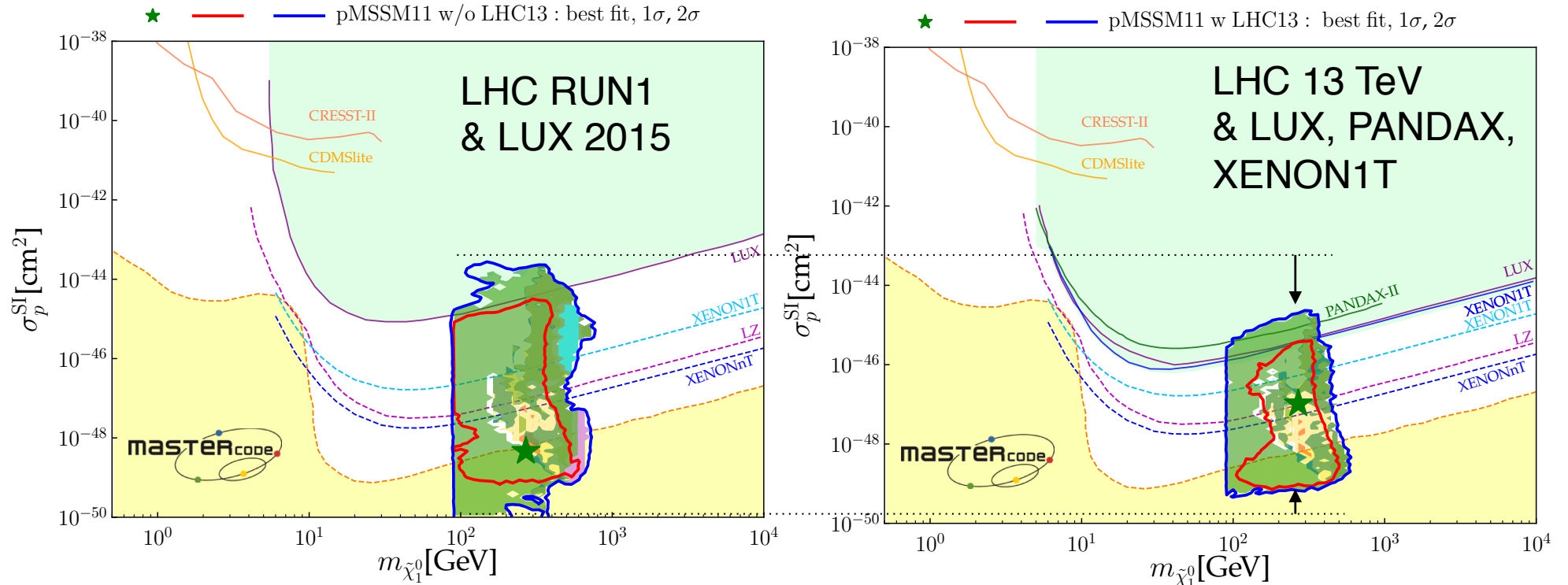
pMSSM11: σ_{SI} vs m_{DM}

- stau coann.
- $\tilde{\chi}_1^\pm$ coann.
- slep coann
- gluino coann.
- squark coann.



pMSSM11: σ_{SI} vs m_{DM}

■ stau coann.
 ■ $\tilde{\chi}_1^\pm$ coann.
 ■ slep coann
 ■ gluino coann.
 ■ squark coann.



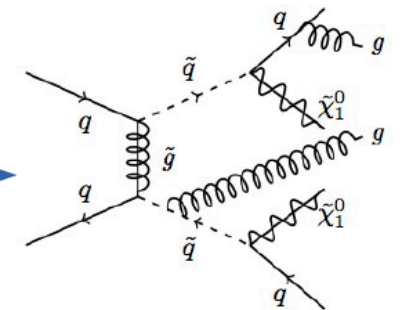
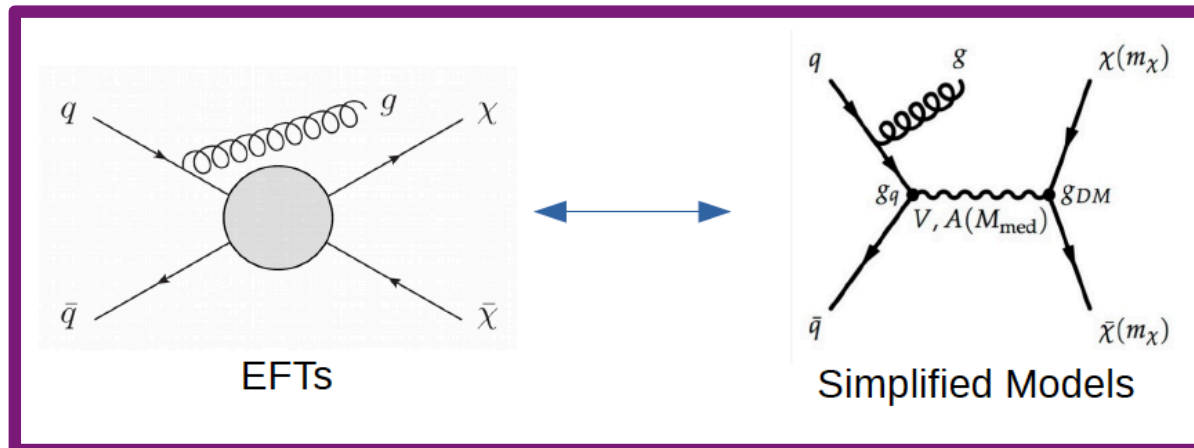
Clear complementarity of collider and DD constraints:

- Collider covers regions not easily or not at all accessible to DD experiments (i.e. low m_{DM} and also very small σ_{SI})
- On the other hand, DD experiments push strongly the preferred region to lower σ_{SI} (and will continue to do so in the future)

Characterisation of Dark Matter searches at colliders

Simplicity vs. Complexity

Finding the right balance is a challenge!



UV-complete Models

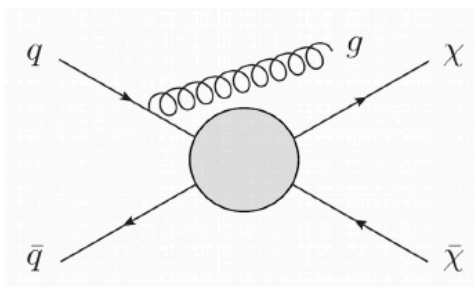
Characterisation of Dark Matter searches at colliders

Simplicity vs. Complexity

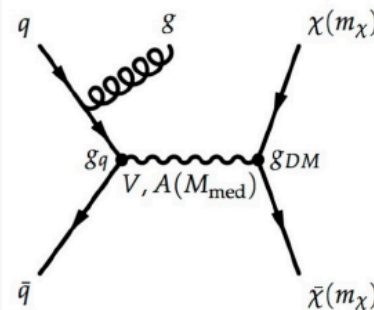
Finding the right balance is a challenge!



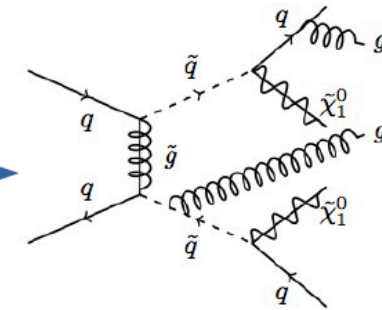
Main part of of this is covered in Caterina's talk



EFTs



Simplified Models



UV-complete Models

SIMPLIFIED MODELS AND LONG-LIVED PARTICLE SIGNATURES AT THE LHC

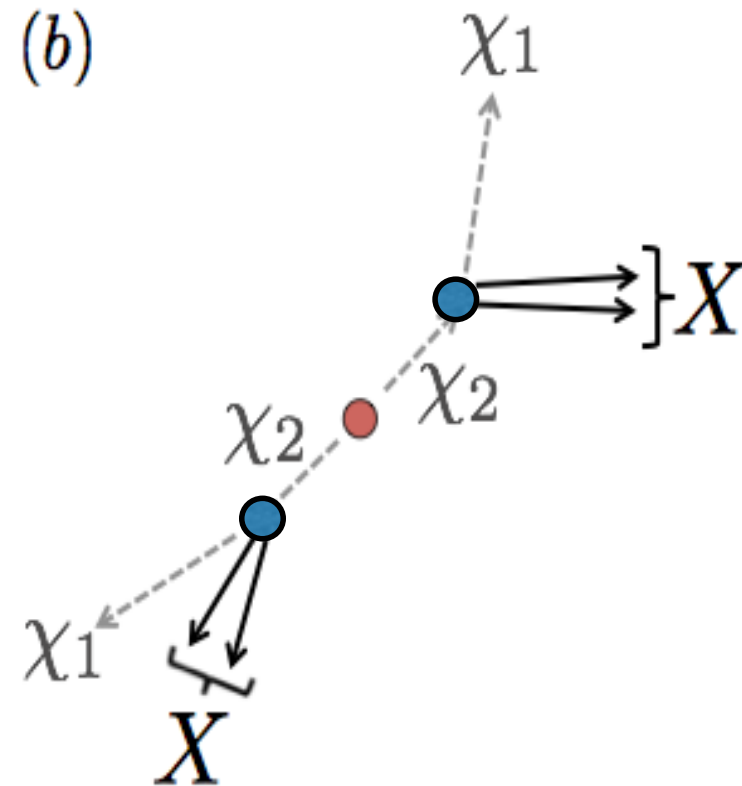
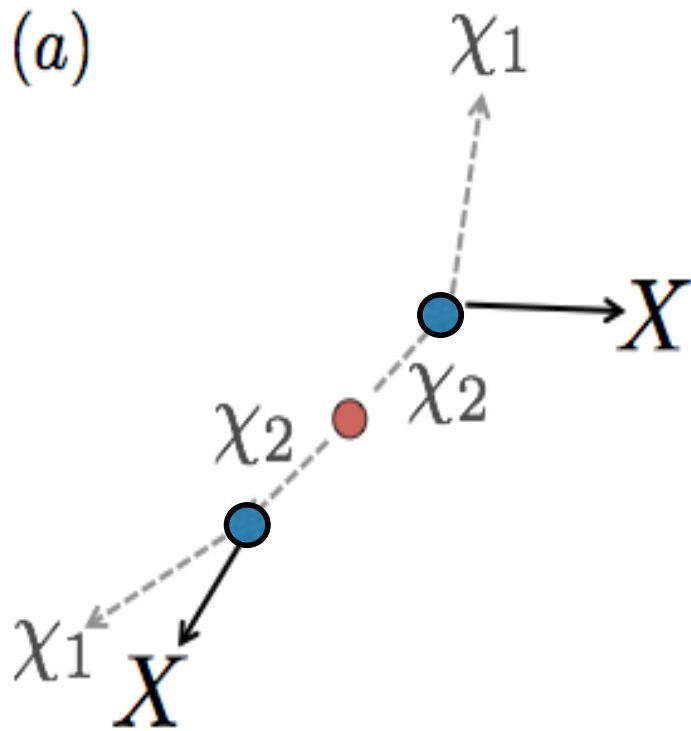
Based on:

Simplified Models for Displaced Dark Matter Signatures

Oliver Buchmueller, Albert De Roeck, Matthew McCullough,
Kristian Hahn, Kevin Sung, Pedro Schwaller, Tien-Tien Yu

arXiv:170406515

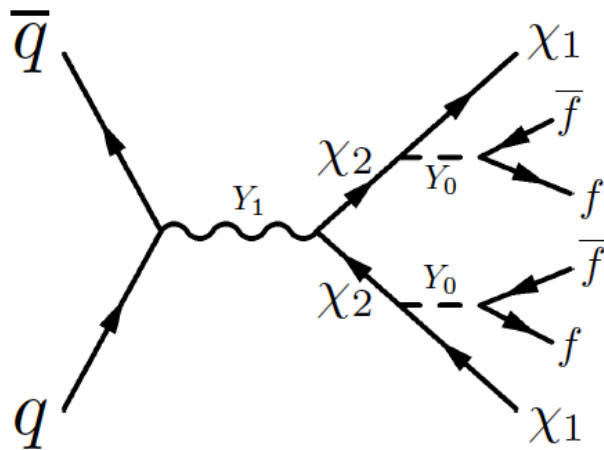
WANTED: Systematic programme for displaced vertex searches



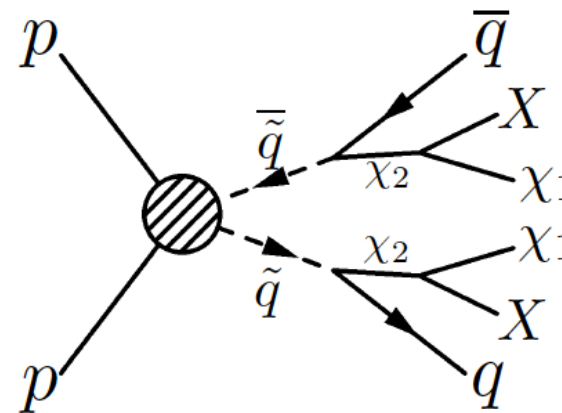
WANTED: Systematic programme for displaced vertex searches

Production through simplified models: DM or SUSY

Example: simplified DM



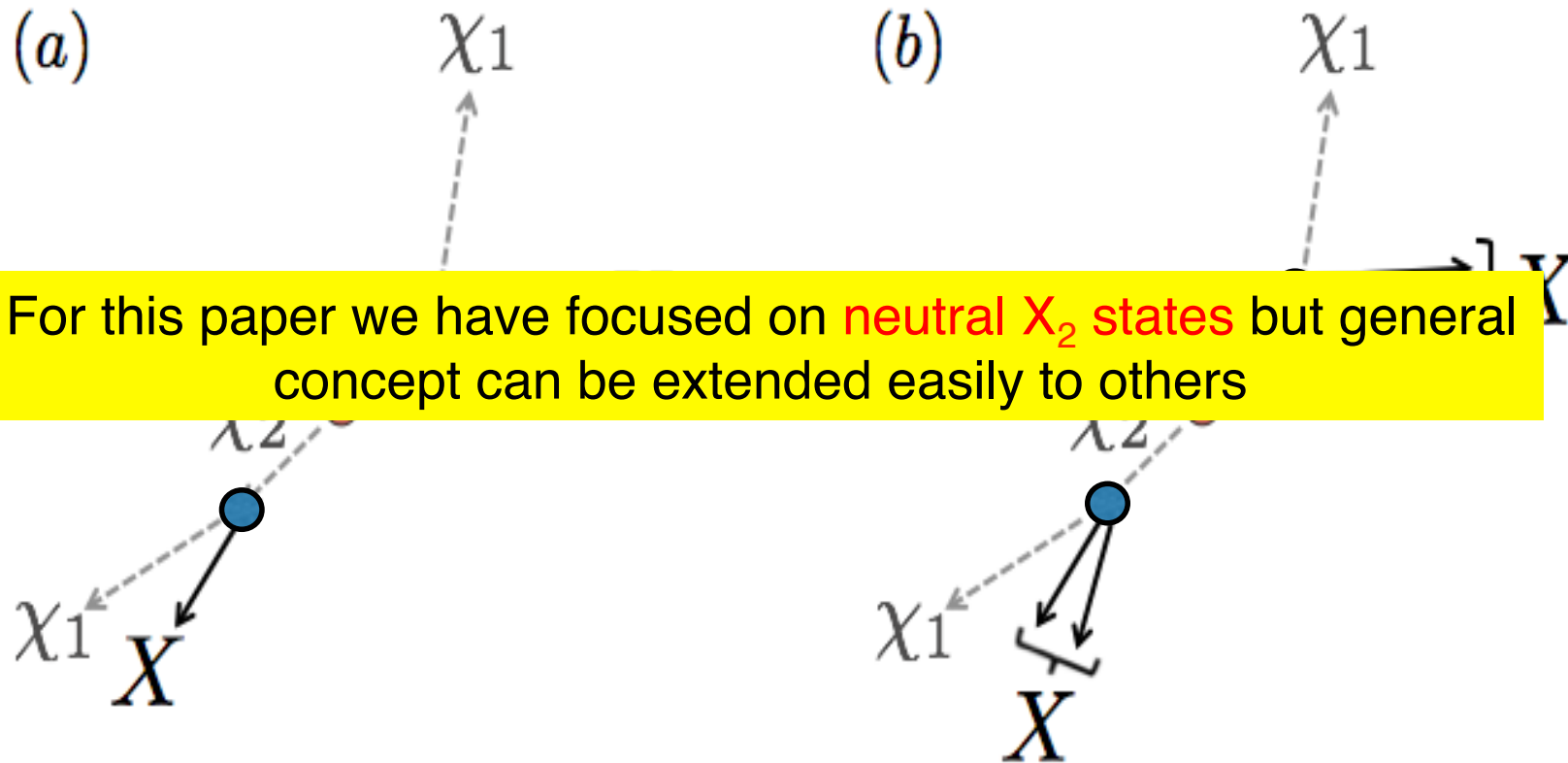
Example: simplified SUSY



Advantage:

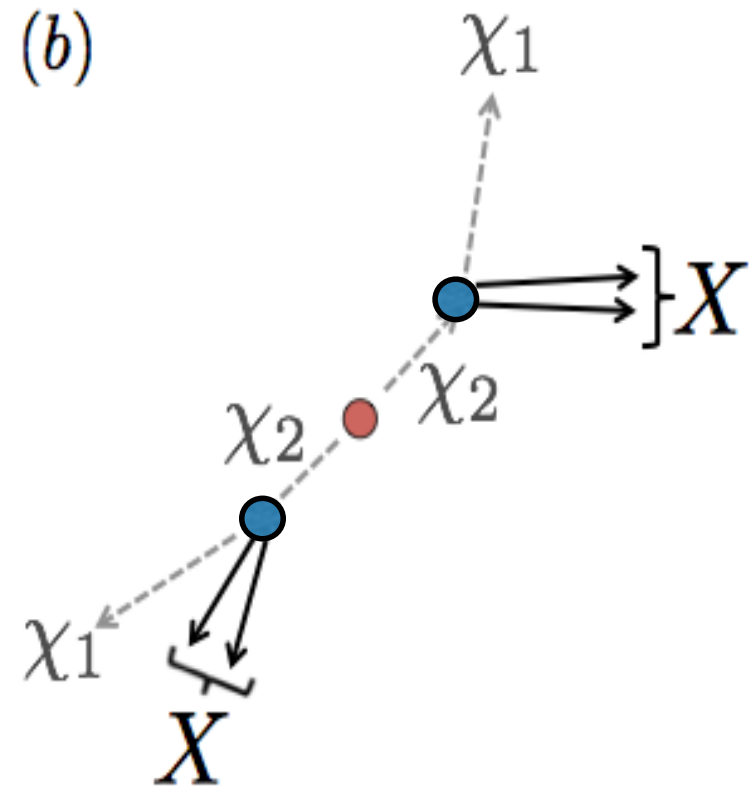
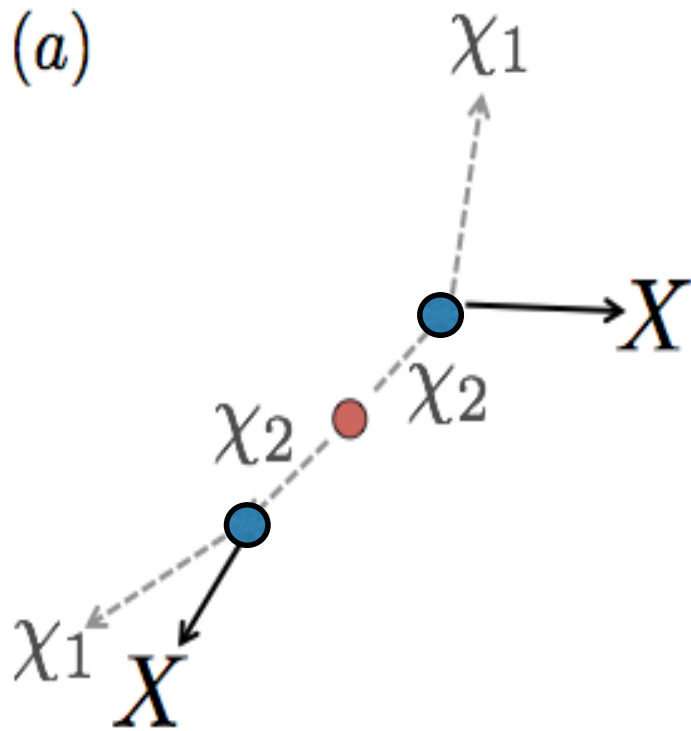
Can revert to a large and well understood portfolio of simplified models that are already in use by the experiments!

WANTED: Systematic programme for displaced vertex searches

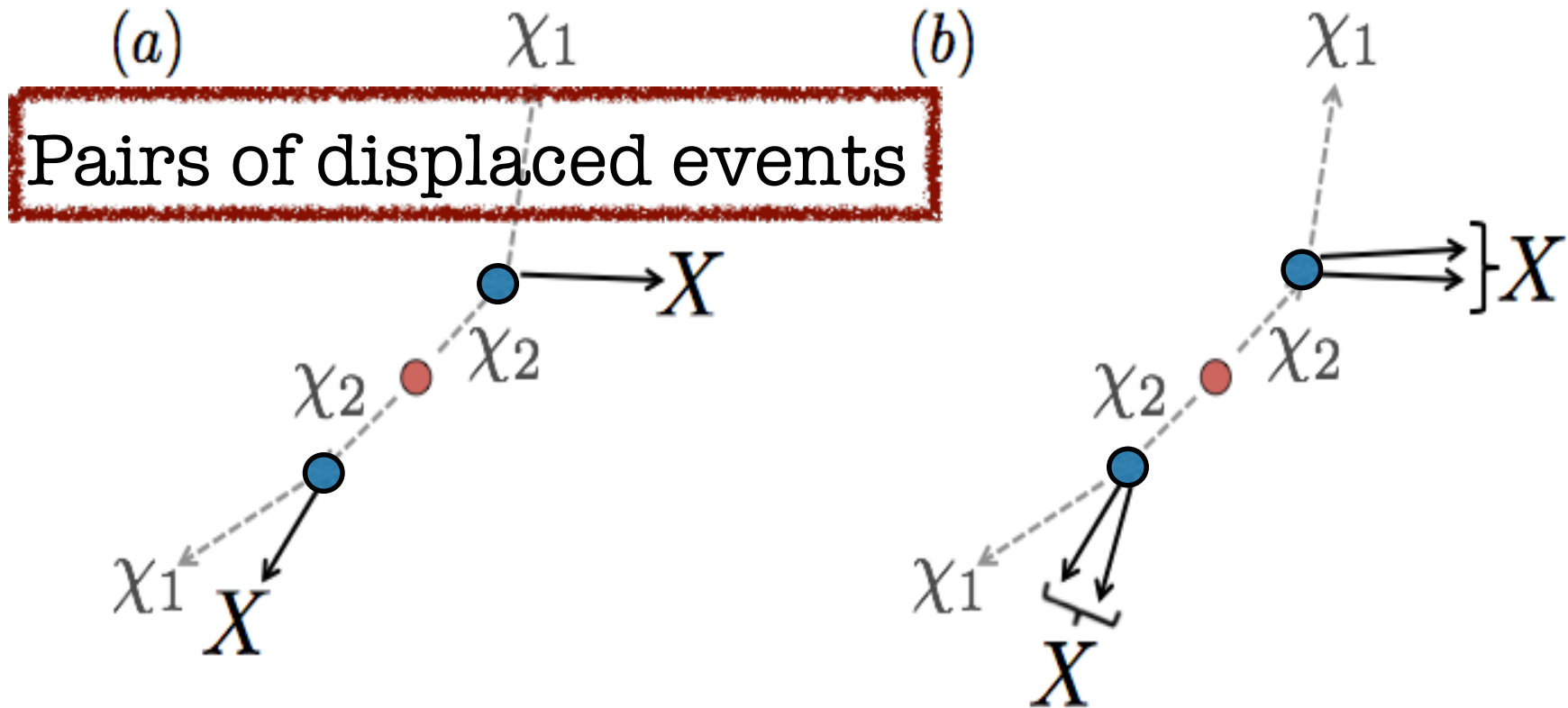


Production through simplified models: **DM** or **SUSY**

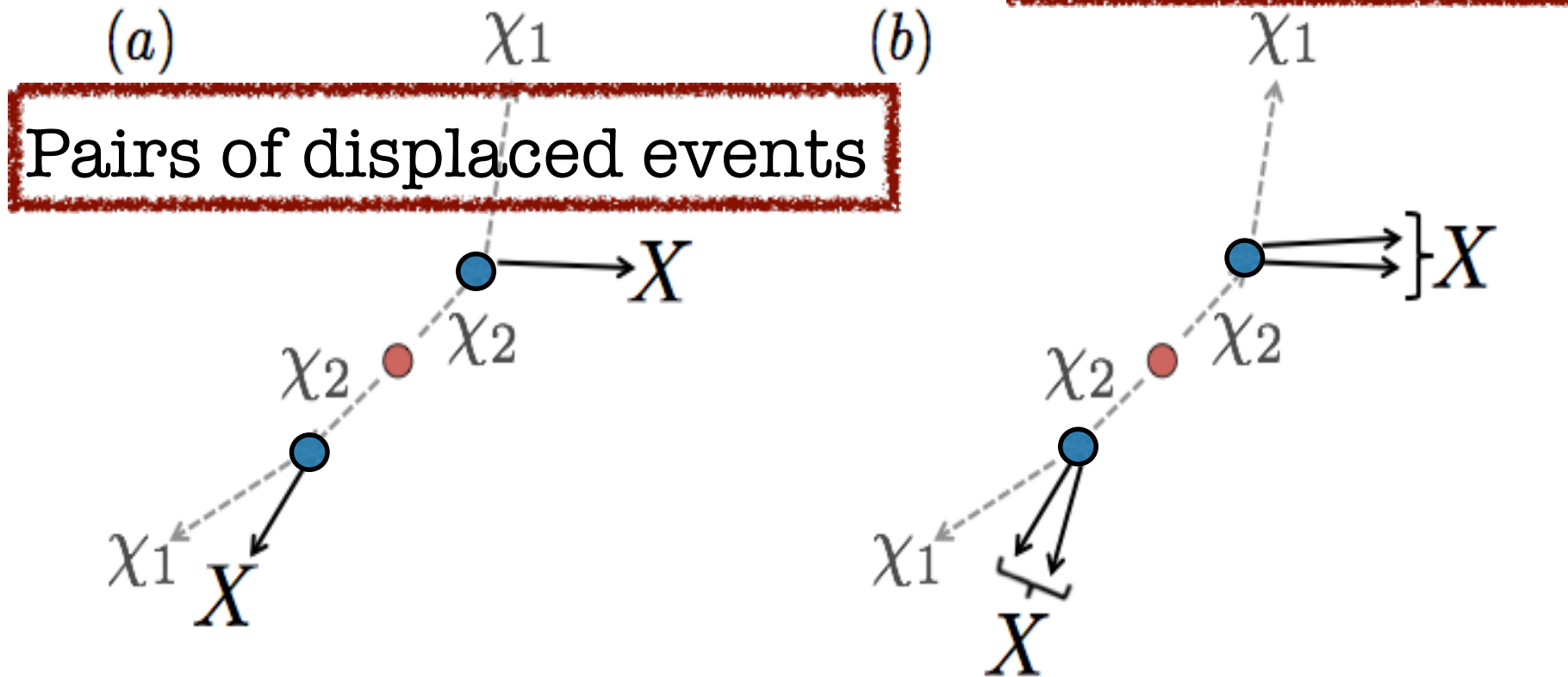
Experimental Signature



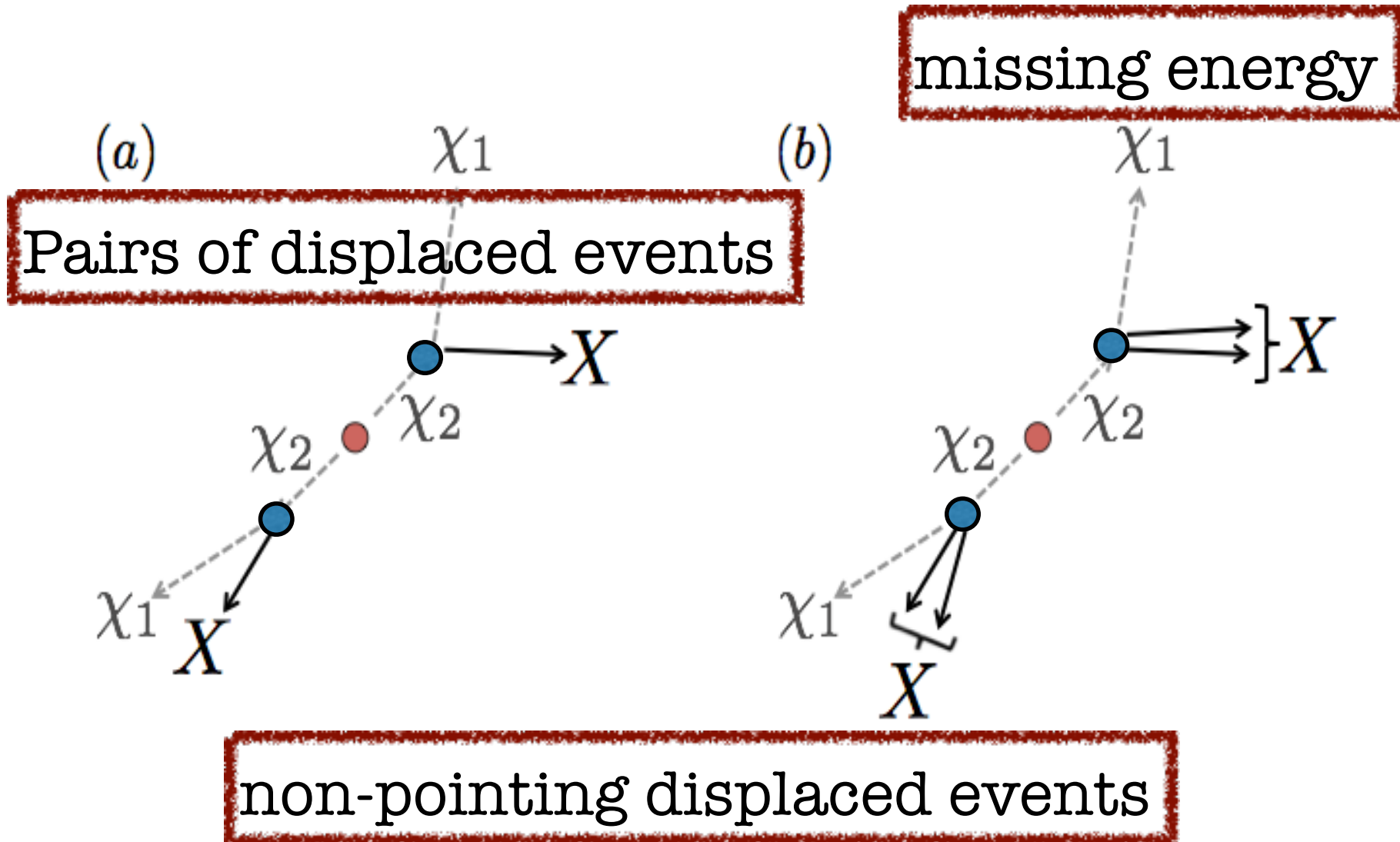
Experimental Signature



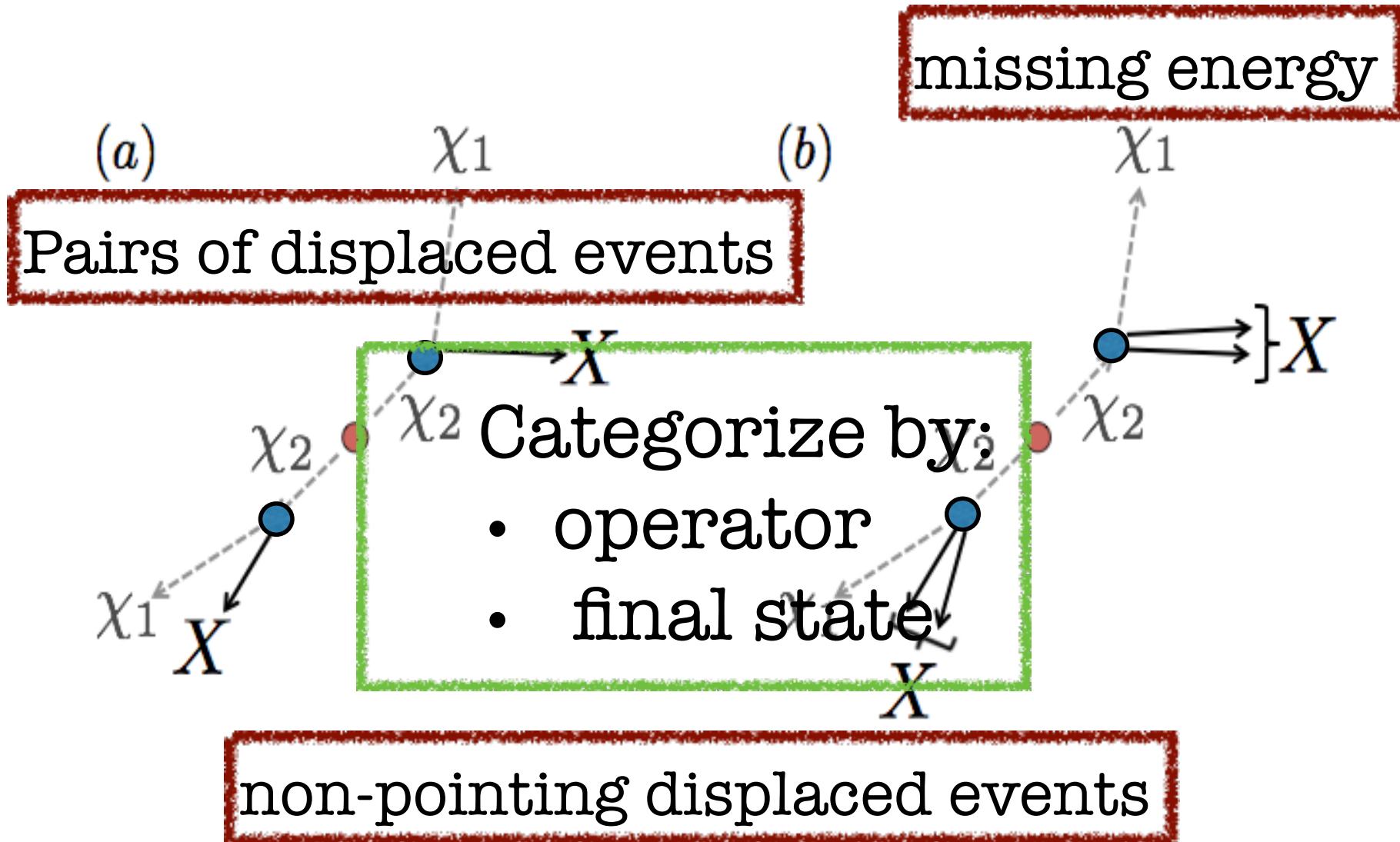
Experimental Signature



Experimental Signature



Experimental Signature



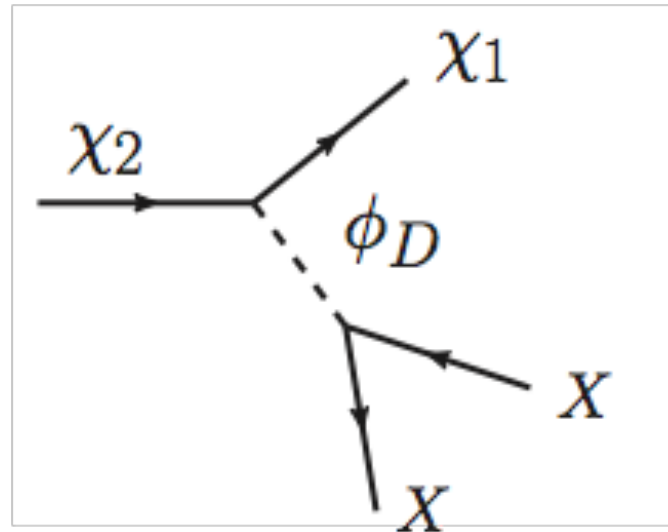
Example Operators

$$\chi_2 \rightarrow \chi_1 + X$$

final state X	\mathcal{O}_F	\mathcal{O}_S
γ/γ^*	$\frac{1}{\Lambda} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 F^{\mu\nu}$	$\frac{1}{\Lambda^2} (\partial_\mu \phi_2 \partial_\nu \phi_1) F^{\mu\nu}$
Z	$\frac{1}{\Lambda} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 Z^{\mu\nu}$	$\frac{1}{\Lambda^2} (\partial_\mu \phi_2 \partial_\nu \phi_1) Z^{\mu\nu}$
h	$\bar{\chi}_2 \chi_1 h$	$\Lambda \phi_2 \phi_1 h$
jj	$\frac{1}{\Lambda^3} \bar{\chi}_2 \chi_1 \text{Tr}[G^{\mu\nu} G_{\mu\nu}]$	$\frac{1}{\Lambda^2} \phi_2 \phi_1 \text{Tr}[G^{\mu\nu} G_{\mu\nu}]$
$\bar{l}l$	$\frac{1}{\Lambda^2} \bar{l}l \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{l}l$
$\bar{b}b$	$\frac{1}{\Lambda^2} \bar{b}b \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{b}b$
$\bar{t}t$	$\frac{1}{\Lambda^2} \bar{t}t \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{t}t$

* can also have diboson final states

Light Mediator



final state	$\mathcal{O}_{DM} + \mathcal{O}_{SM}$
$\bar{f}f$	$ \begin{aligned} & -g_{12}Z'_\mu\bar{\chi}_1\gamma^\mu\chi_2 - g_qZ'_\mu\bar{l}\gamma^\mu l \\ & -g_{12}Z'_\mu\bar{\chi}_1\gamma^\mu\gamma_5\chi_2 - g_qZ'_\mu\bar{l}\gamma^\mu\gamma_5 l \\ & -g_{12}\phi\bar{\chi}_1\chi_2 - g_q\phi\bar{l}l \\ & -ig_{12}\phi\bar{\chi}_1\gamma^5\chi_2 - g_q\phi\bar{l}\gamma^5 l \\ & -(g_1\tilde{l}^*\bar{\chi}_1 l + g_2\tilde{l}^*\bar{\chi}_2 l + h.c.) \end{aligned} $

Parameters

Simplified DM Models		
Variables	DM candidate	Interaction
m_ϕ	Dirac	Vector
m_1	Majorana	Axial-Vector
g_χ	Scalar-real	Scalar
g_ϕ	Scalar-complex	Pseudoscalar
Extension Displaced Signature		
τ, m_2	Decay of $\chi_2 \rightarrow \chi_1 X$	

DM simplified models program

proposed extension

or $m_2 - m_1$

Minimal Set of Final States to cover Experimentally

\cancel{E}_T plus displaced X system					
dMETs	dMET $_{jj}$	dMET $_{e^+e^-}$	dMET $_{\mu^+\mu^-}$	dMET $_{\tau^+\tau^-}$	dMET $_{\gamma}$
X	<i>jet-pair</i>	<i>e-pair</i>	<i>μ-pair</i>	<i>τ-pair</i>	γ

Table 4. Minimal set of dMETs searches for neutral displaced SM particles. To facilitate the trigger acceptance for these topologies, especially for soft X systems, the dMETs can be combined with an ISR signature, such as an additional hard jet or hard γ . A list of basic operators that would give rise to such topologies is shown in Table 2.

Minimal Set of Final States to cover Experimentally

\cancel{E}_T plus displaced X system					
dMETs	dMET $_{jj}$	dMET $_{e^+e^-}$	dMET $_{\mu^+\mu^-}$	dMET $_{\tau^+\tau^-}$	dMET $_{\gamma}$
X	<i>jet-pair</i>	<i>e-pair</i>	<i>μ-pair</i>	<i>τ-pair</i>	γ

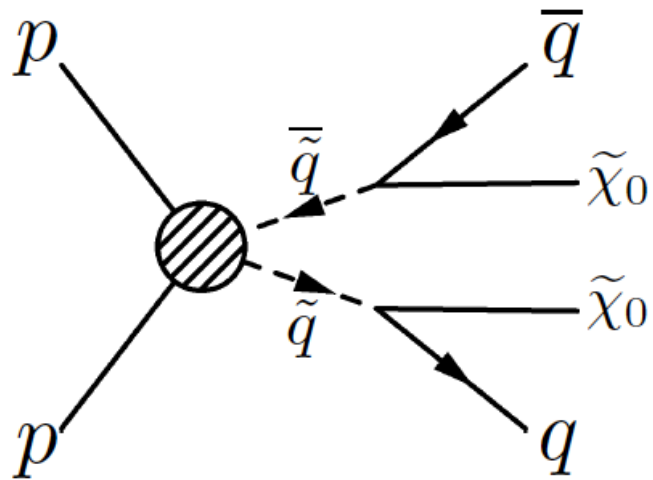
Table 4. Minimal set of dMETs searches for neutral displaced SM particles. To facilitate the trigger acceptance for these topologies, especially for soft X systems, the dMETs can be combined with an ISR signature, such as an additional hard jet or hard γ . A list of basic operators that would give rise to such topologies is shown in Table 2.

dMET γ : displaced gamma with MET is the only of these signature that is currently covered with a dedicated analysis by experiments.

Simulation in a nutshell

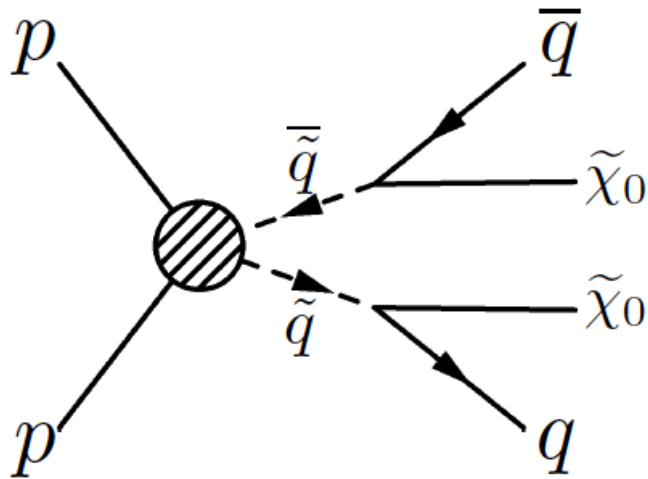
Simulation

1) Chose simplified Model for production



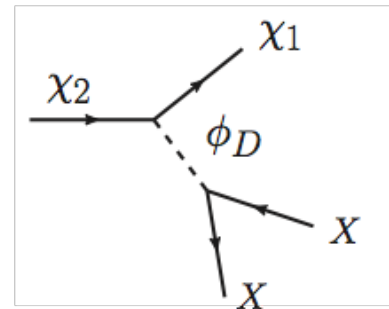
Simulation in a nutshell

1) Chose simplified Model for production



2) Chose ansatz to add long-lived particle and decay:

final state X	\mathcal{O}_F	\mathcal{O}_S
γ	$\frac{1}{\Lambda} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 F^{\mu\nu}$	$\frac{1}{\Lambda^2} (\phi_2 \partial_\mu \partial_\nu \phi_1) F^{\mu\nu}$
Z	$\frac{1}{\Lambda} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 Z^{\mu\nu}$	$\frac{1}{\Lambda^2} (\phi_2 \partial_\mu \partial_\nu \phi_1) Z^{\mu\nu}$
h	$\bar{\chi}_2 \chi_1 h$	$\Lambda \phi_2 \phi_1 h$
jj	$\frac{1}{\Lambda^3} \bar{\chi}_2 \chi_1 \text{Tr}[G^{\mu\nu} G_{\mu\nu}]$	$\frac{1}{\Lambda^2} \phi_2 \phi_1 \text{Tr}[G^{\mu\nu} G_{\mu\nu}]$
$\bar{l}l$	$\frac{1}{\Lambda^2} \bar{l}l \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{l}l$
$\bar{b}b$	$\frac{1}{\Lambda^2} \bar{b}b \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{b}b$
$\bar{t}t$	$\frac{1}{\Lambda^2} \bar{t}t \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{t}t$

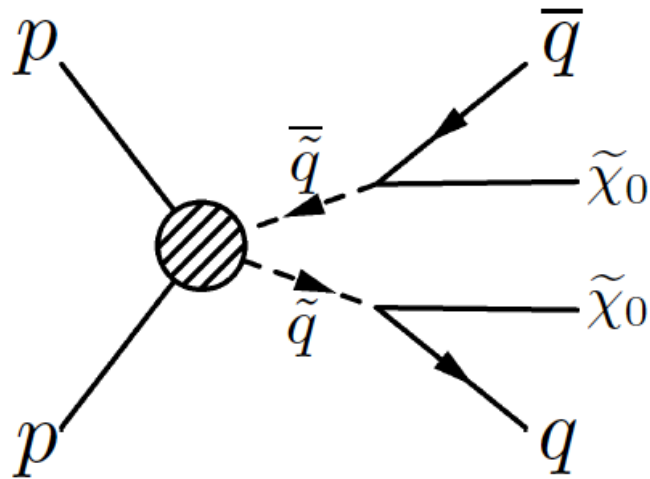


EFT like decay

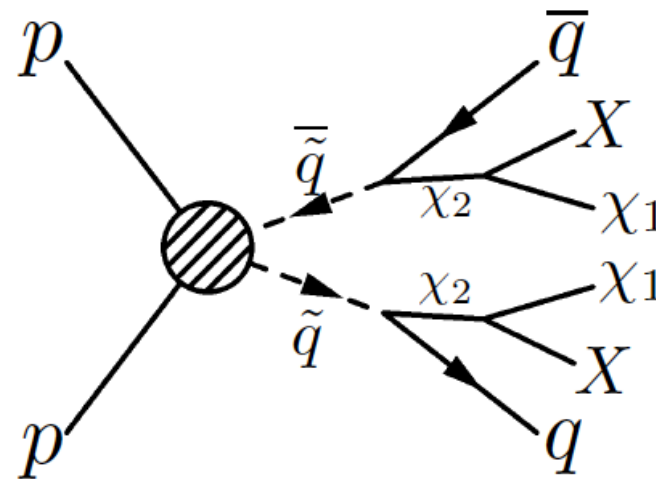
Resolved (light) mediator

Simulation in a nutshell

1) Chose simplified Model for production



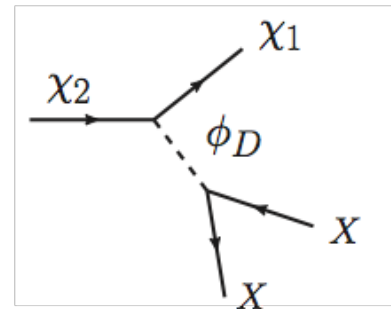
3) Simulate full chain



2) Chose ansatz to add long-lived particle and decay:

final state X	\mathcal{O}_F	\mathcal{O}_S
γ	$\frac{1}{\Lambda} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 F^{\mu\nu}$	$\frac{1}{\Lambda^2} (\phi_2 \partial_\mu \partial_\nu \phi_1) F^{\mu\nu}$
Z	$\frac{1}{\Lambda} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 Z^{\mu\nu}$	$\frac{1}{\Lambda^2} (\phi_2 \partial_\mu \partial_\nu \phi_1) Z^{\mu\nu}$
h	$\bar{\chi}_2 \chi_1 h$	$\Lambda \phi_2 \phi_1 h$
jj	$\frac{1}{\Lambda^3} \bar{\chi}_2 \chi_1 \text{Tr}[G^{\mu\nu} G_{\mu\nu}]$	$\frac{1}{\Lambda^2} \phi_2 \phi_1 \text{Tr}[G^{\mu\nu} G_{\mu\nu}]$
$\bar{l}l$	$\frac{1}{\Lambda^2} \bar{l}l \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{l}l$
$\bar{b}b$	$\frac{1}{\Lambda^2} \bar{b}b \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{b}b$
$\bar{t}t$	$\frac{1}{\Lambda^2} \bar{t}t \bar{\chi}_2 \chi_1$	$\frac{1}{\Lambda} \phi_2 \phi_1 \bar{t}t$

EFT like decay



Resolved (light) mediator

Example: EFT like decay for $X_2 \rightarrow \gamma X_1$

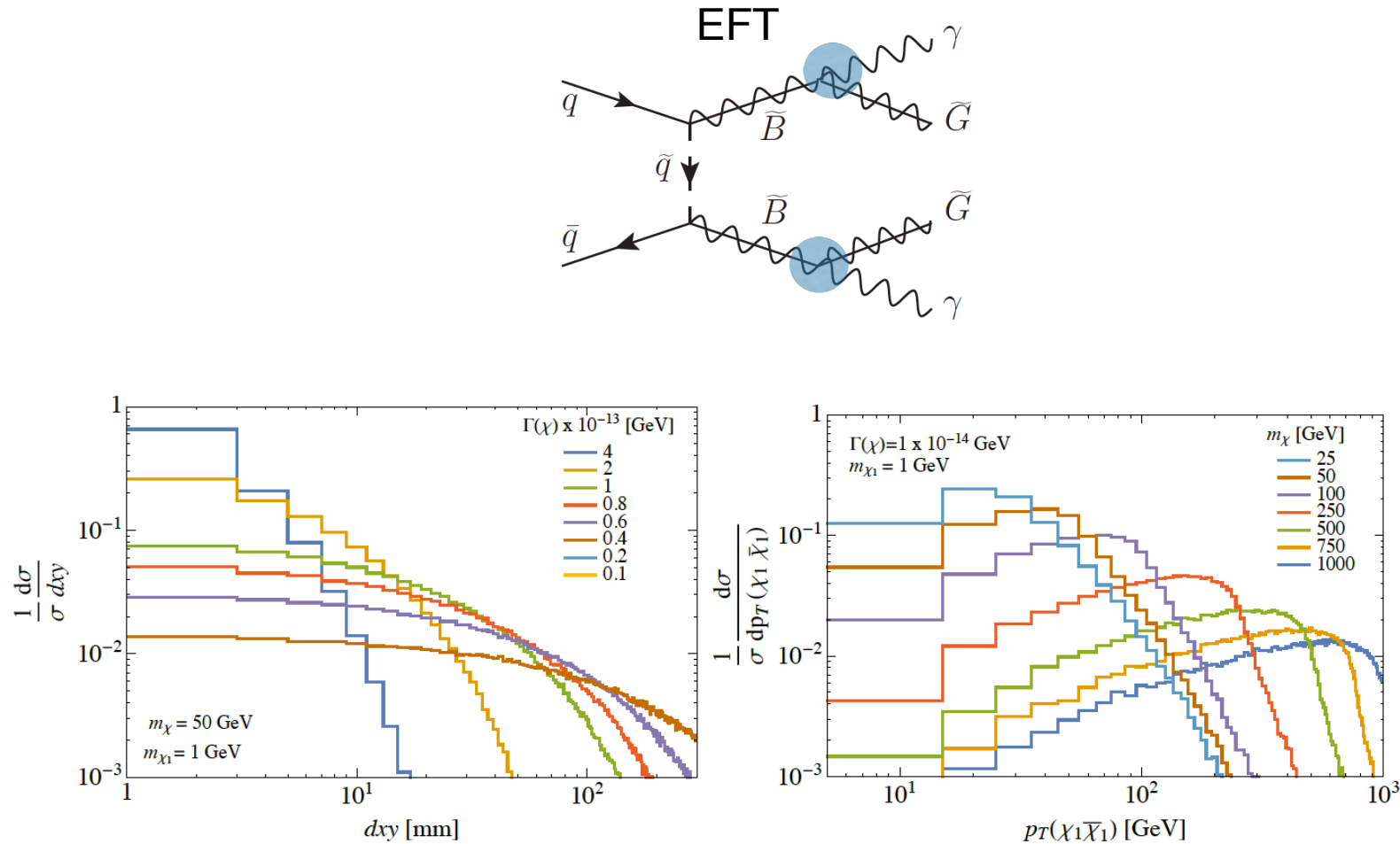
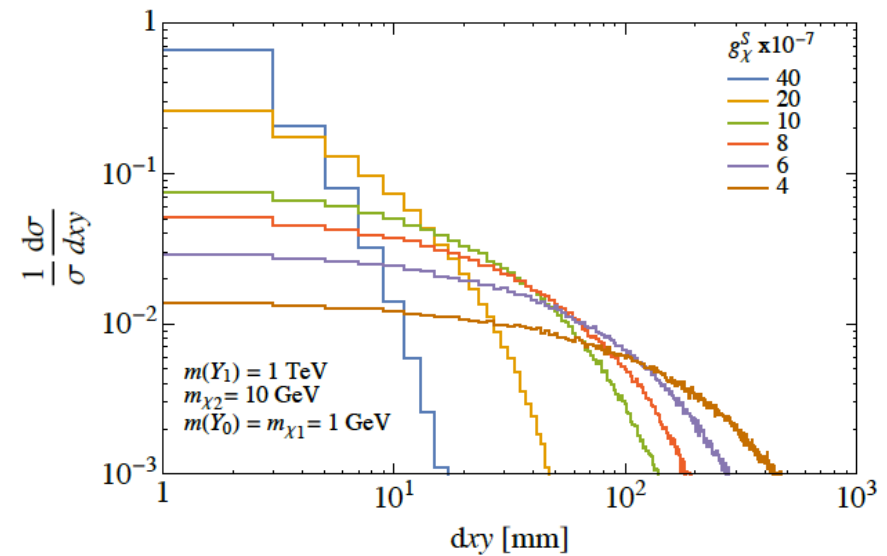
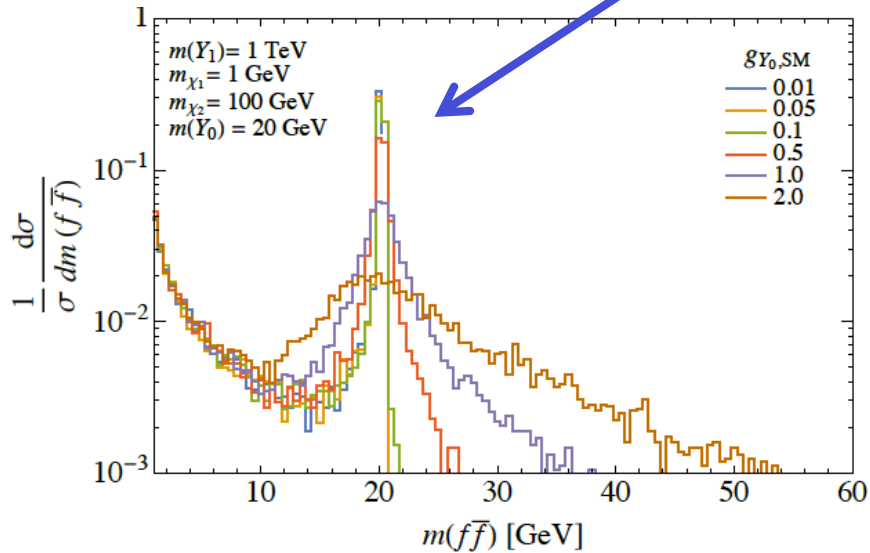
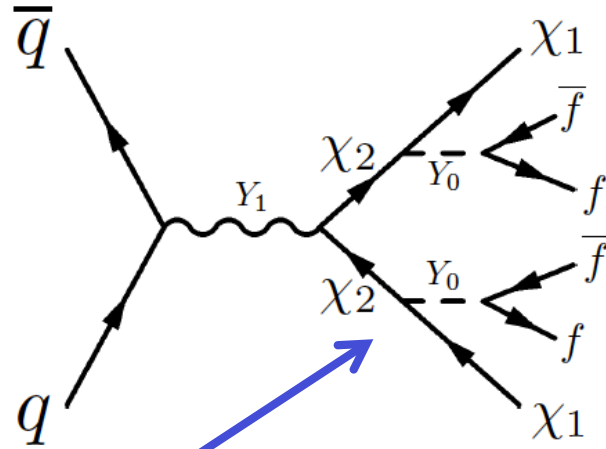


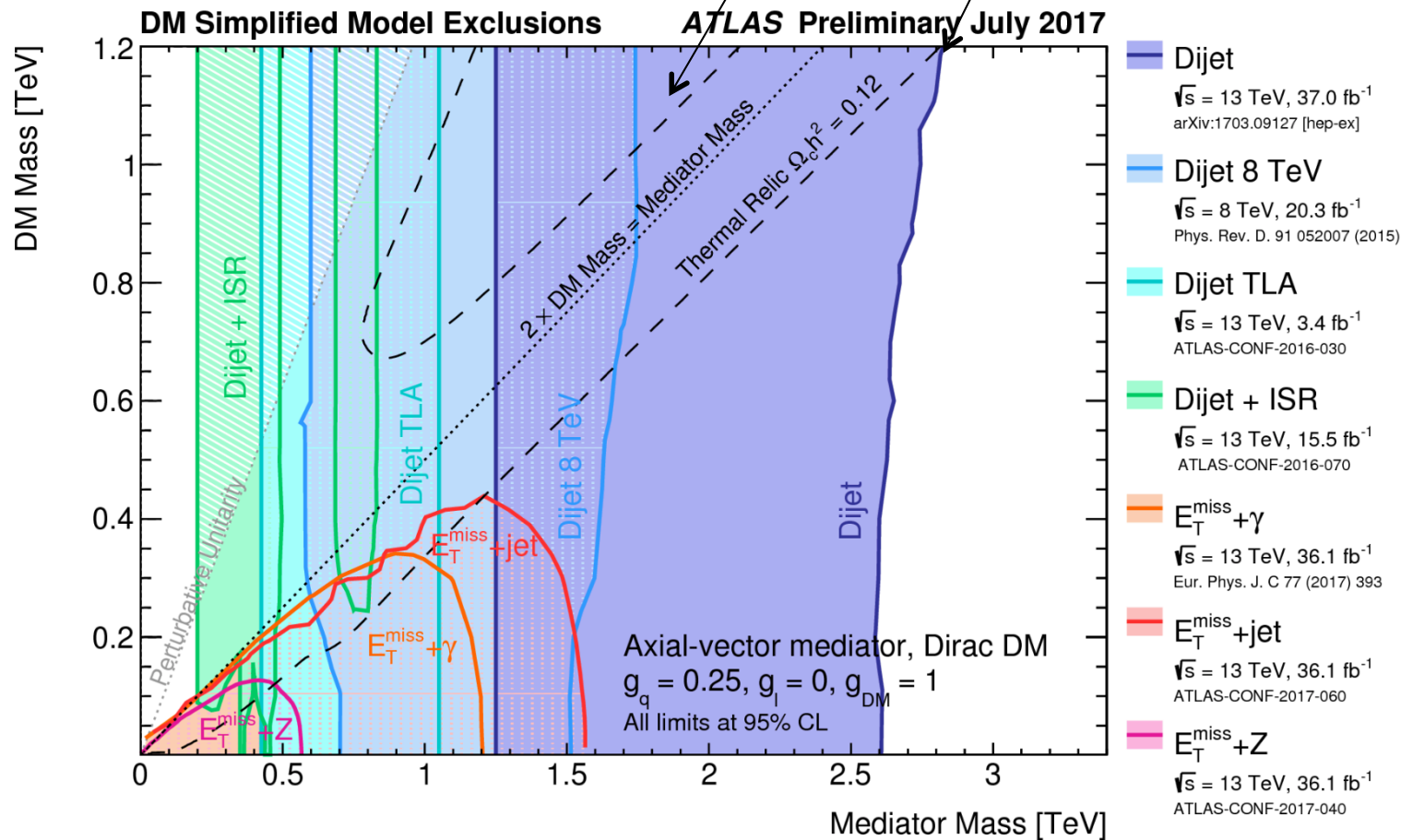
Figure 10. Left: the transverse impact parameter of $\chi_1 \gamma$ vertices for a range of χ widths. Right: the transverse momentum of the DM system ($p_T(\chi_1 \bar{\chi}_1)$) for various χ masses. Other parameters in the GMSB model are fixed as per the panel headings. The distributions in both panels are unit-normalised.

Example: Resolved decay for $X_2 \rightarrow Y_0 X_1 \rightarrow f\bar{f} X_1$



How to calculate the relic for these models?

For the standard simplified models we calculate the relic – would like to do the same for the those with LL particles involved.



Simulation

1. Add the new particle content to the original DM simplified model.

For an EFT decay model, this is simply the new, stable DM particle χ_1 .

For the simplified decay model the mediating particle must also be included.

2. Add new interactions to the original model.

These can either be single-parameter EFT operators, or interaction terms involving a mediator.

3. Configure the relevant particle masses and couplings in the MG5 aMC@NLO param card.dat to achieve displaced decays.

4. Generate the $pp \rightarrow \chi\bar{\chi}$ in process MG5 aMC@NLO, which will result in an LHE file that contains the necessary width information in the SLHA header.

5. Pass the resulting LHE to Pythia, which will perform the $\chi \rightarrow \chi_1 X$ decay using the SLHA information.

More details are provided in arXiv:1704.06515