

Measurement of $\sin^2\theta_{\text{eff}}^{\text{lept}}$



Aleko Khukhunaishvili

CMS collaboration

University of Rochester

Electroweak precision measurements

Oct 05, 2017



UNIVERSITY of
ROCHESTER

- Effective leptonic mixing angle and W mass are closely related

$$\sin^2\theta_{\text{eff}}^l = (1 - m_W^2/m_Z^2) \kappa_{\text{RAD}}$$

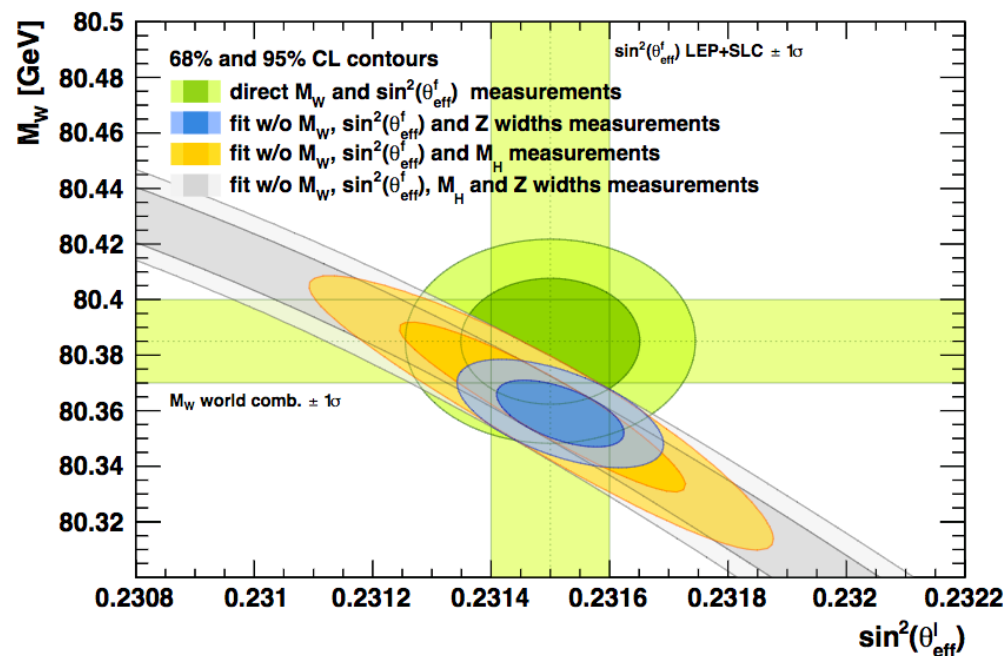
where κ_{RAD} is precisely known in standard model

- indirect measurement of W mass
- probe for contributions to κ_{RAD} from new physics particles

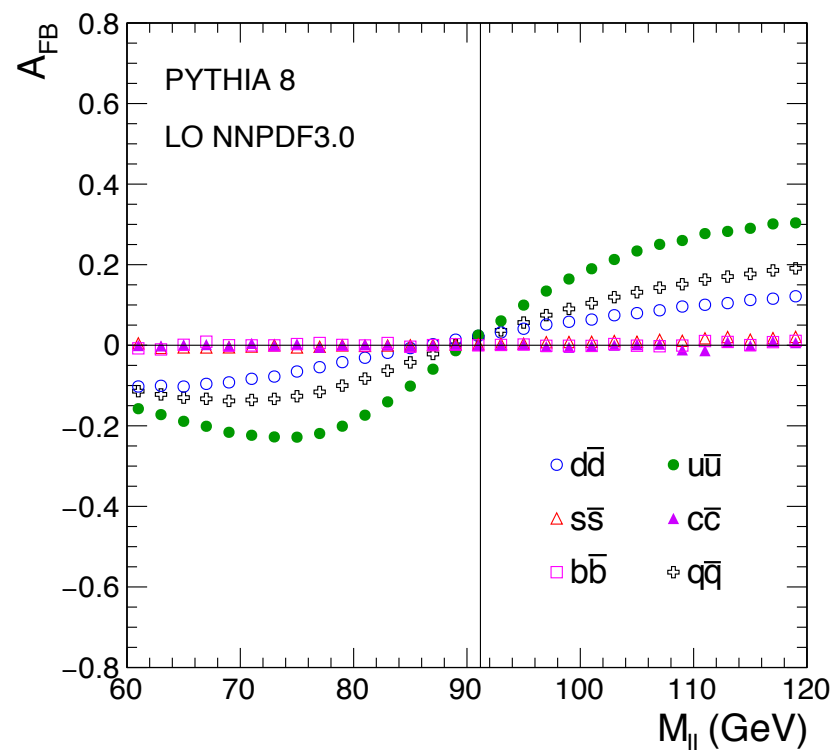
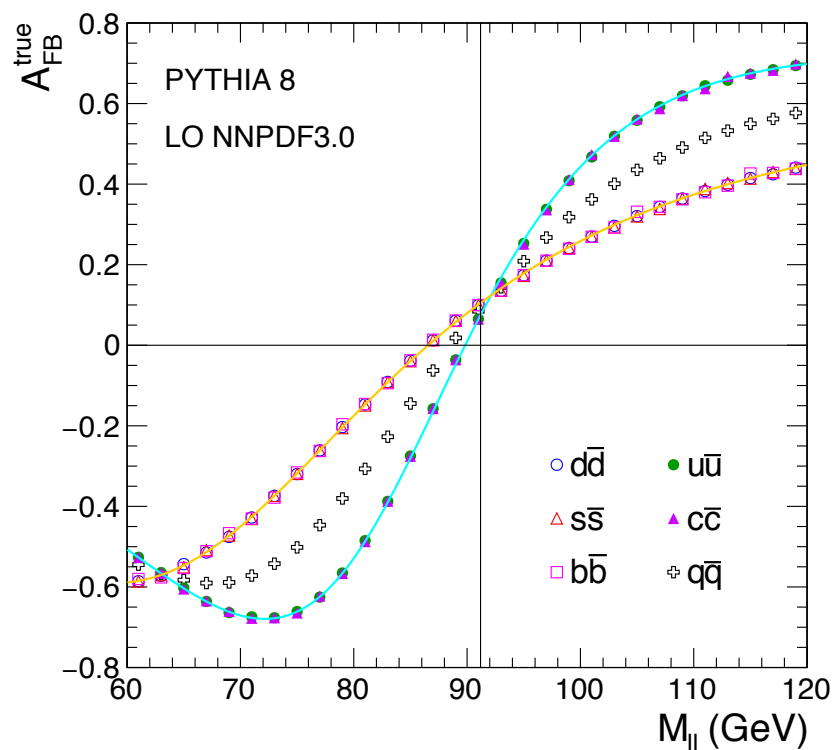
- Current world average dominated by LEP and SLD measurements

- Best measurements at hadron colliders are still limited by statistical and PDF errors, both of which can be constrained with more data

- Lot of \sim background-free $Z \rightarrow ll$ events produced at the LHC that can be used to precisely measure $\sin^2\theta_{\text{eff}}^l$



- A_{FB} distribution defined by the vector and axial couplings
- Near Z peak sensitive to $\sin^2\theta_{\text{eff}}^l$
- Mass dependence from Z/γ^* interference
- Definition of Forward / Backward in pp based on sign of y_{ll}
 - only valence quarks contribute
 - average depends on PDFs



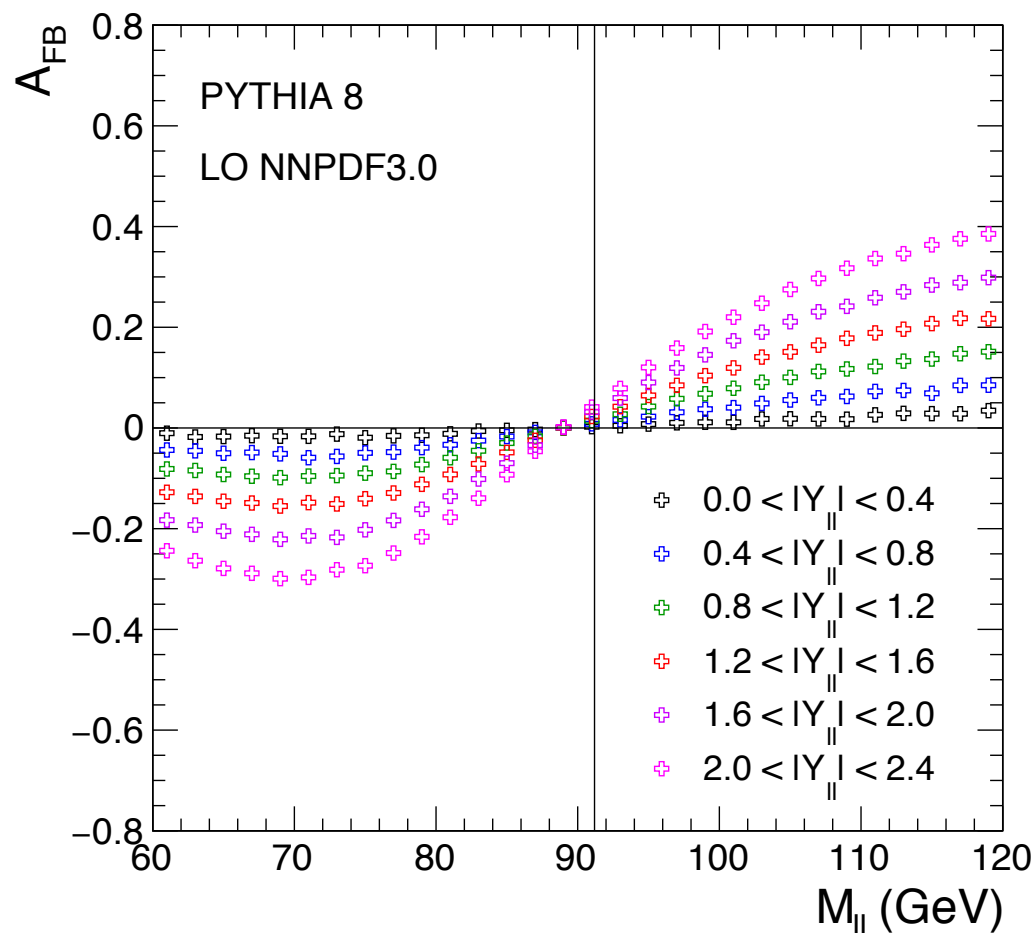
AFB in bins of mass and rapidity

- Definition of Forward/Backward in pp based on sign of y_{ll}
- dilution factor depends on rapidity
 - maximum/absolute dilution at $y=0$

AFB's measured in 72 bins of mass and rapidity:

- 6 equal $|y|$ bins in $[0-2.4]$
- 12 mass bins in $[60-120]$

$\sin^2\theta_{\text{eff}}^l$ is extracted by fitting measured AFBs with different templates

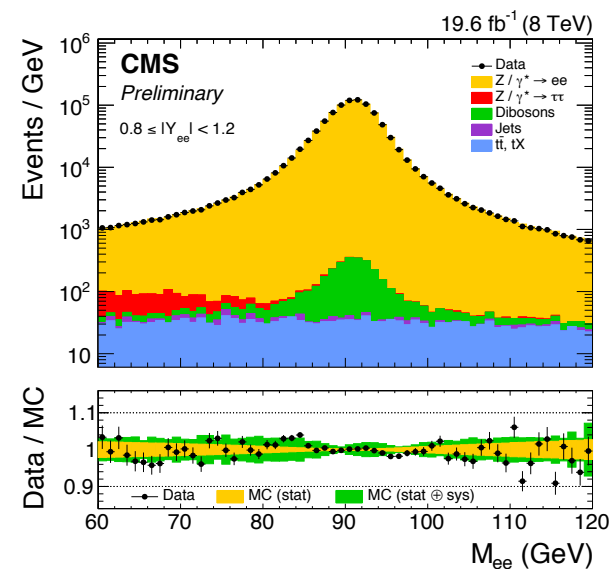
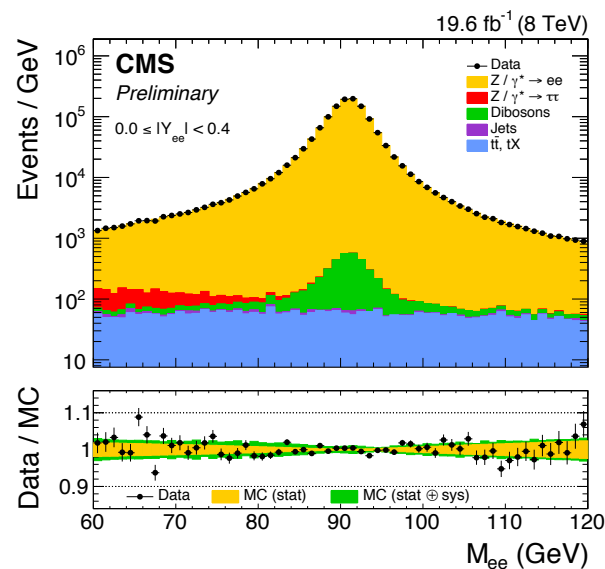
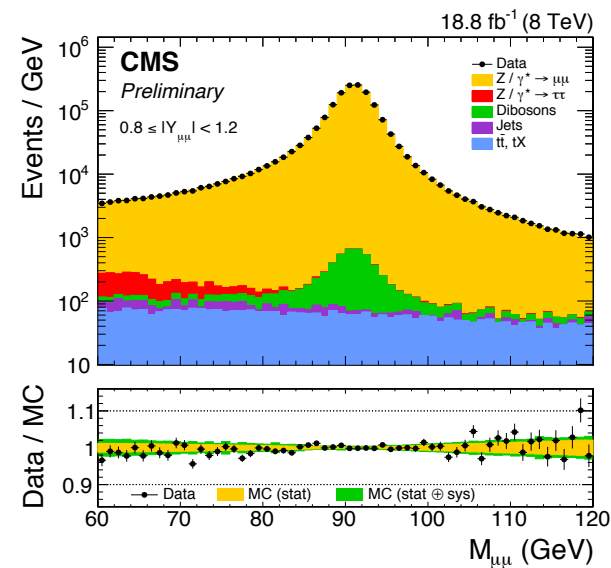
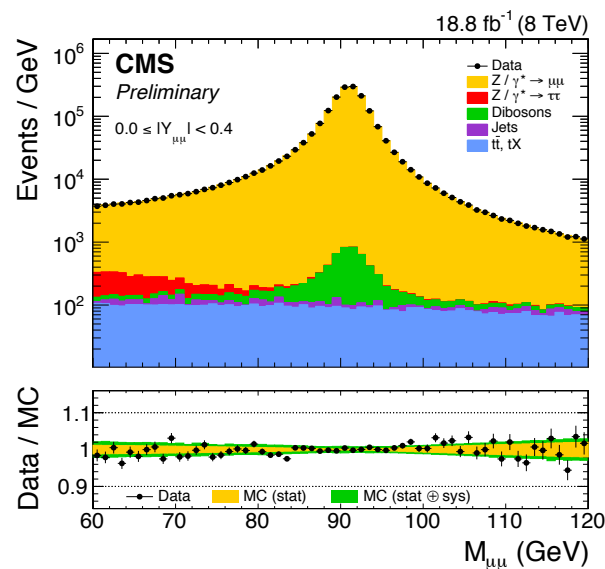


- Fit AFB distribution in bins of mass and $|y|$ with POWHEG $\sin^2\theta_{\text{eff}}$ templates
- 2012 8 TeV dataset — 19 /fb
- dimuon and dielectron channels
- Precise lepton momentum calibration using dilepton mass peak
- Event-weighting technique to calculate A_{FB}
- Constrain PDF uncertainties using AFB data

using Z-ll events to
calibrate lepton momentum
scale and resolution

applied to data and
simulation such that:

- scale matches true scale
based on generated post-
FSR (for muons) and
dressed (for electrons
electron) momenta
- resolution matches
reconstruction resolution
in data



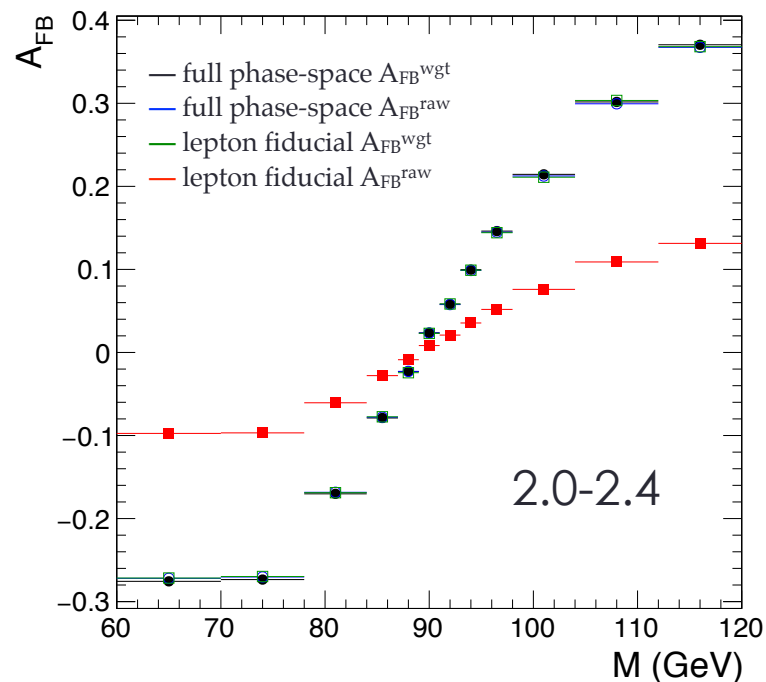
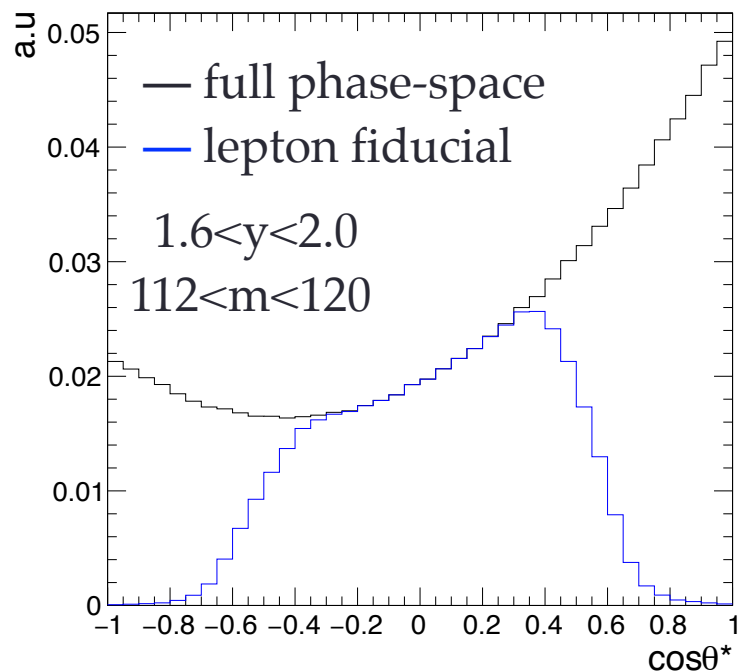
Angular event-weighting

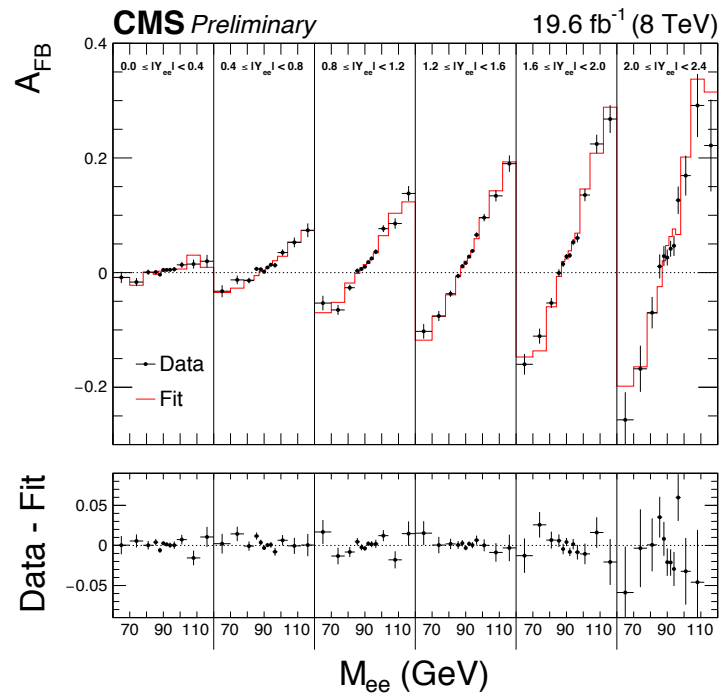
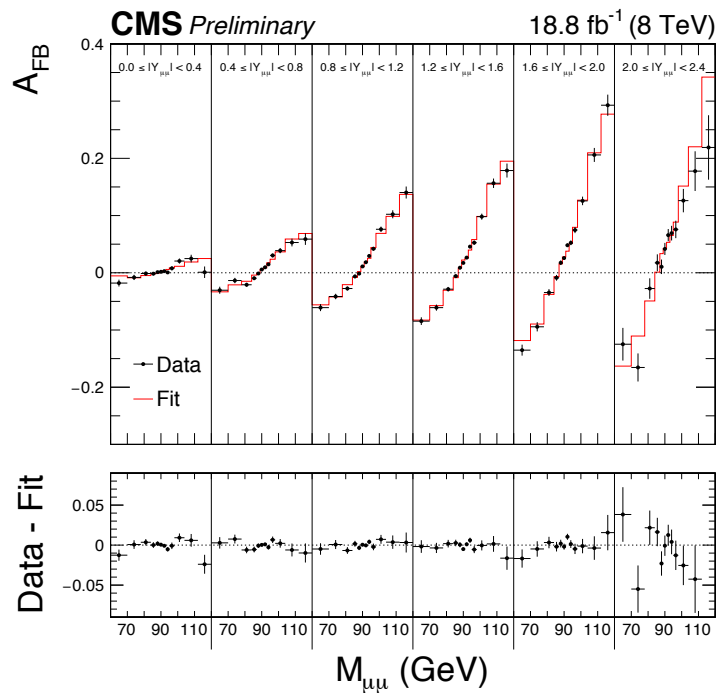
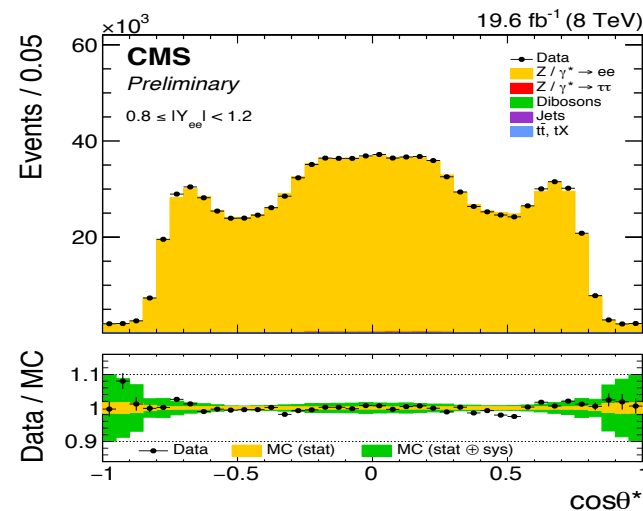
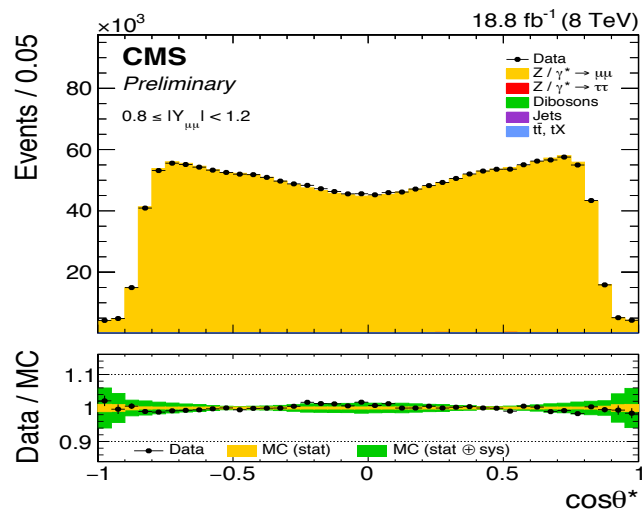
- Observable: weighted A_{FB} (Eur. Phys. J. C67, (2010) 321) (also used by CDF measurement)
- For each event with $\cos\theta=c$, define two weights:

$$w_{\text{D}} = \frac{1}{2} \frac{c^2}{(1 + c^2 + h)^3}, \quad h = 0.5A_0(1 - 3c^2)$$

$$w_{\text{N}} = \frac{1}{2} \frac{|c|}{(1 + c^2 + h)^2}.$$
- $D_{\text{F}} = \sum_{c>0} w_{\text{D}}, D_{\text{B}} = \sum_{c<0} w_{\text{D}},$
 $N_{\text{F}} = \sum_{c>0} w_{\text{N}}, N_{\text{B}} = \sum_{c<0} w_{\text{N}}.$

$$A_{\text{FB}} = \frac{3}{8} \frac{N_{\text{F}} - N_{\text{B}}}{D_{\text{F}} + D_{\text{B}}}$$
- In 4π , Raw $A_{\text{FB}} = \text{Weighted } A_{\text{FB}} = \text{Weighted } A_{\text{FB}}$ within lepton acceptance
 => less sensitive to $\cos\theta$ acceptance modeling
- Also, weighted A_{FB} yield smaller stat. uncertainty of extracted $\sin^2\theta_{\text{eff}}$





- Statistical uncertainties dominate
 - include stat. uncertainties in lepton calibration & efficiencies
- Evaluated with bootstrapping to take into account correlations

| channel | statistical uncertainty |
|----------|-------------------------|
| muon | 0.00044 |
| electron | 0.00060 |
| combined | 0.00036 |

- Experimental uncertainties are small
- Biggest contribution coming from limited MC statistics

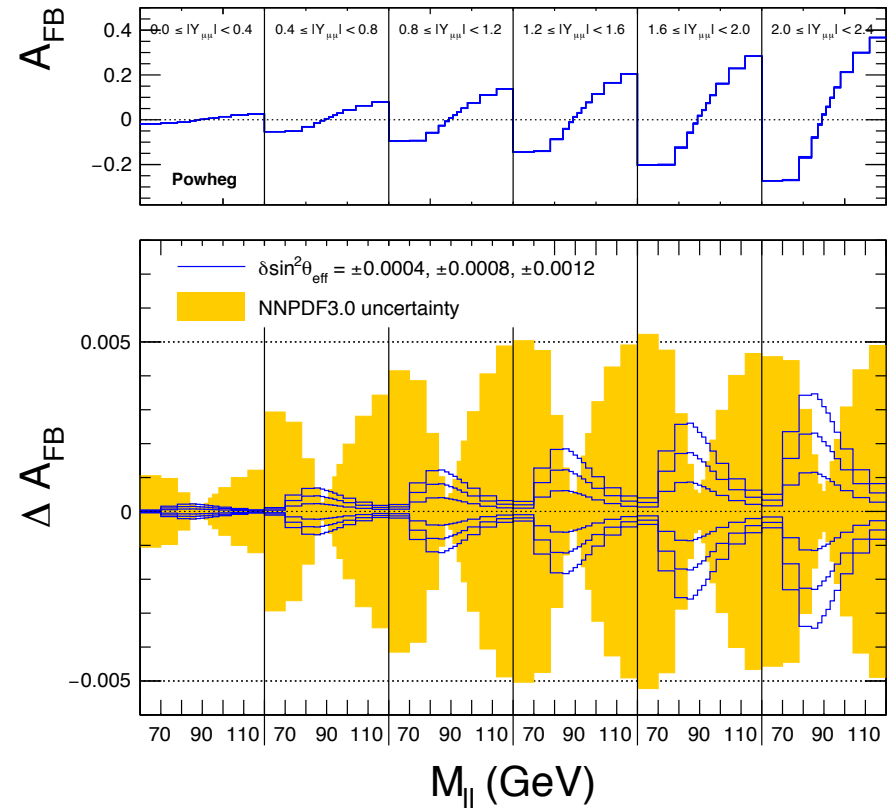
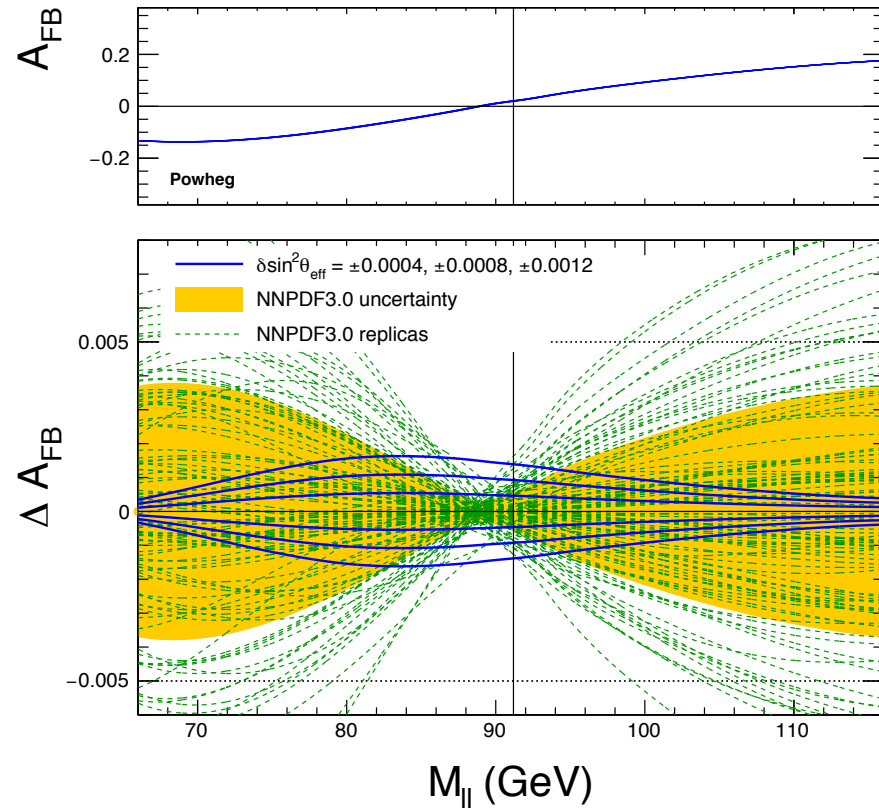
| Source | muons | electrons |
|-----------------------------|---------|-----------|
| MC statistics | 0.00015 | 0.00033 |
| Lepton momentum calibration | 0.00008 | 0.00019 |
| Lepton selection efficiency | 0.00005 | 0.00004 |
| Background subtraction | 0.00003 | 0.00005 |
| Pileup modeling | 0.00003 | 0.00002 |
| Total | 0.00018 | 0.00039 |

Following variations are considered to estimate template modeling uncertainties:

- raw vs weighted (to data) boson p_T distribution
- QCD $\mu_{R/F}$ scales varied by factor of 2 independently excluding two opposite variations
- POWHEG MiNLO Z+j vs NLO Z process
- UE tune parameters within their uncertainties
- u and d quark $\sin^2\theta_{\text{eff}}$ values are changed w.r.t. leptonic ones by 0.0001 and 0.0002

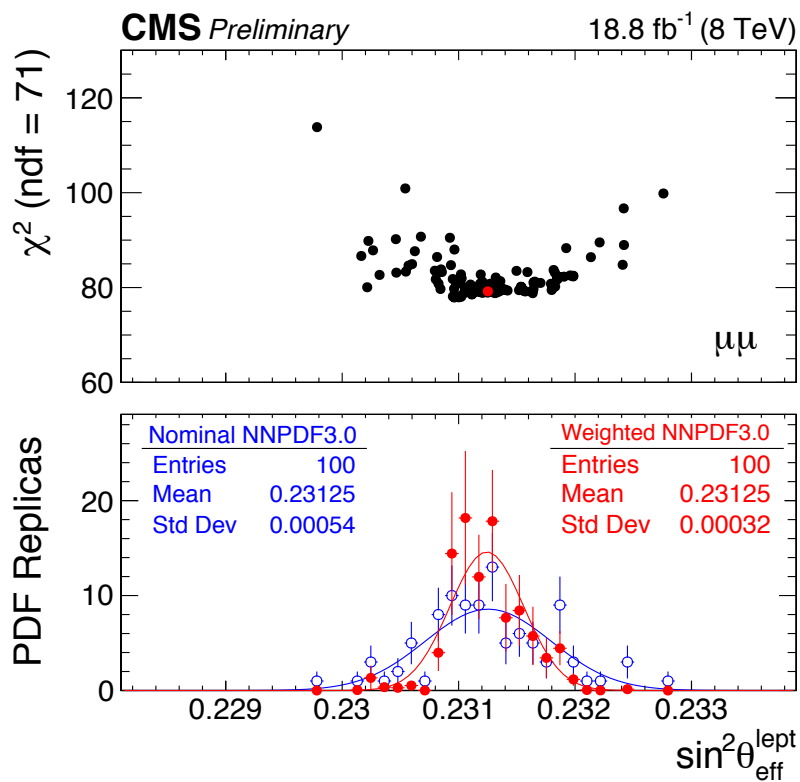
| model variation | Muons | Electrons |
|--|---------|-----------|
| Dilepton p_T reweighting | 0.00003 | 0.00003 |
| QCD $\mu_{R/F}$ scale | 0.00011 | 0.00013 |
| POWHEG MiNLO Z+j vs NLO Z model | 0.00009 | 0.00009 |
| FSR model (PHOTOS vs PYTHIA) | 0.00003 | 0.00005 |
| UE tune | 0.00003 | 0.00004 |
| Electroweak ($\sin^2 \theta_{\text{eff}}^{\text{lept}} - \sin^2 \theta_{\text{eff}}^{\text{u,d}}$) | 0.00001 | 0.00001 |
| Total | 0.00015 | 0.00017 |

- Observed A_{FB} is very sensitive to PDFs (size of dilution, ratio of u and d to total)
- Large in low and high masses, small near the peak (+ specific dependence on y)

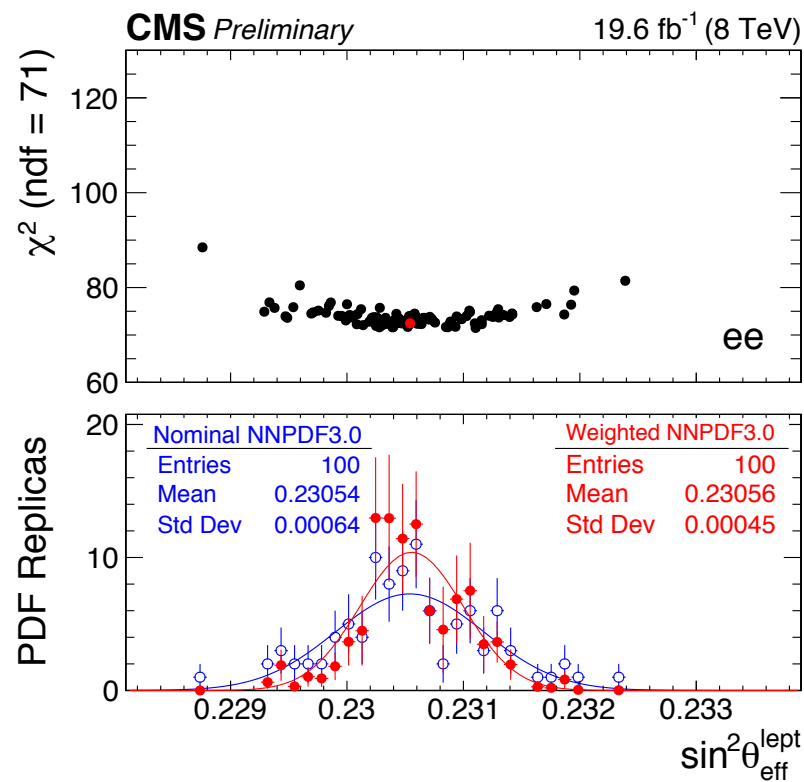


- Perform $\sin^2\theta_{\text{eff}}$ fit for each PDF replica (by default we use NNP3.0)
- Weight each replica (i) by $w_i(\chi^2_{\text{min}})$

$$w_i = \frac{e^{-\frac{\chi^2_{\text{min}}}{2}}}{\frac{1}{N} \sum_{i=1}^N e^{-\frac{\chi^2_{\text{min}}}{2}}}$$

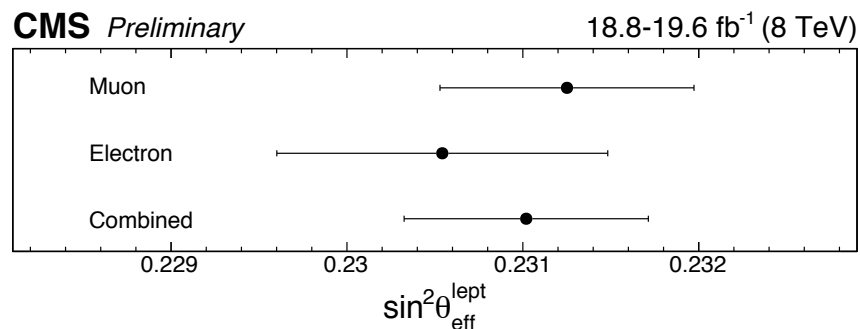


— replicas that poorly describe data (with corresponding best-fit $\sin^2\theta_{\text{eff}}$) get smaller weights

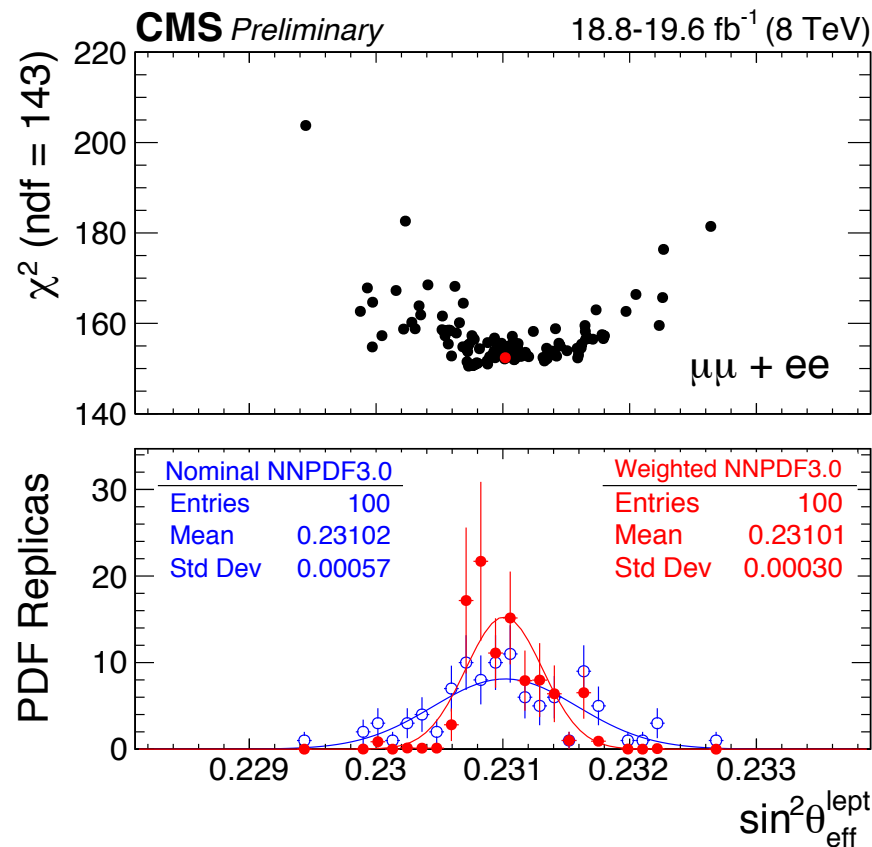
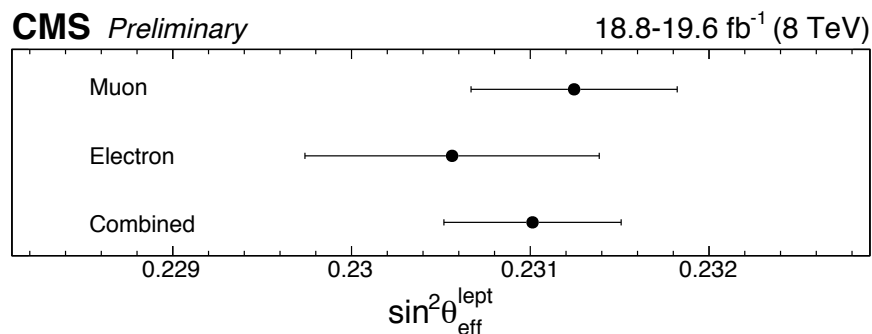


— extreme replicas from both sides are disfavored by both dimuon and dielectron data

Nominal PDF Errors

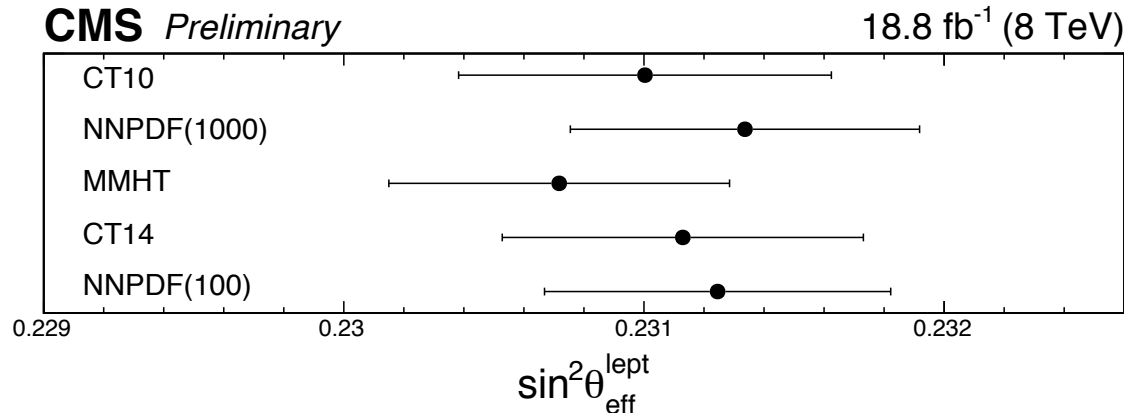
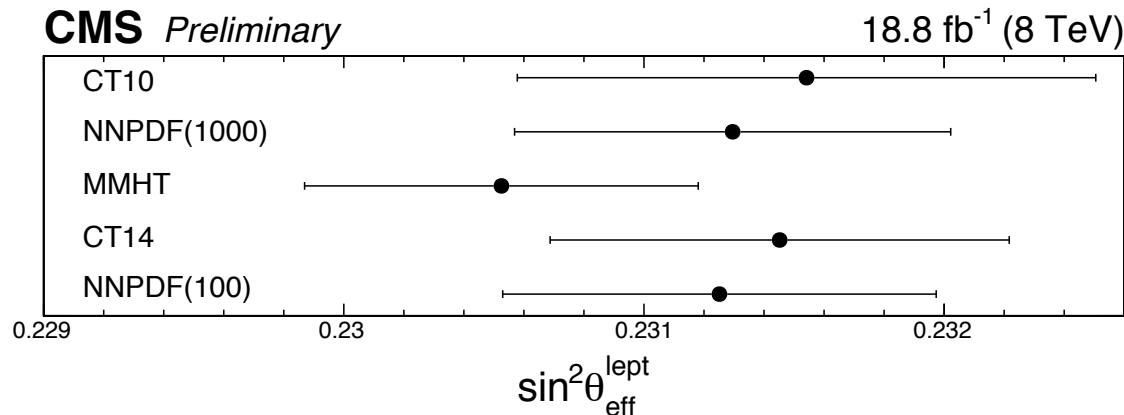


Constrained PDF Errors



- Good consistency between electron and muon results
- PDF uncertainties reduced by about factor of two

study done with muons



- PDF uncertainties reduce
- Spread of central values reduce

- From Hessian PDFs first generate 1000 replicas:

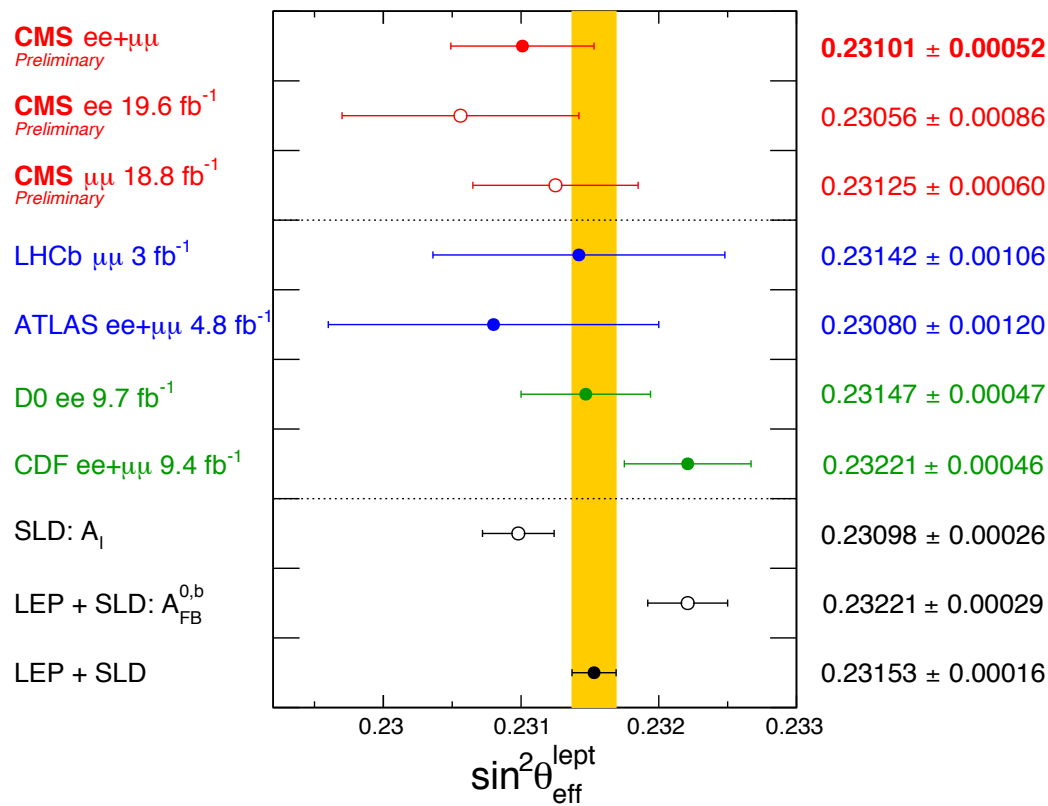
$$O_i = O_0 + \frac{1}{2} \sum_{k=0}^n (O_{2k+1} - O_{2k+2}) R_{ik}$$

- then apply same PDF reweighting
- also did simultaneous fit directly using Hessian PDFs
- also cross-checked with Hessian NNPDFs

=> both central values and uncertainties are ~identical to those obtained with replicas

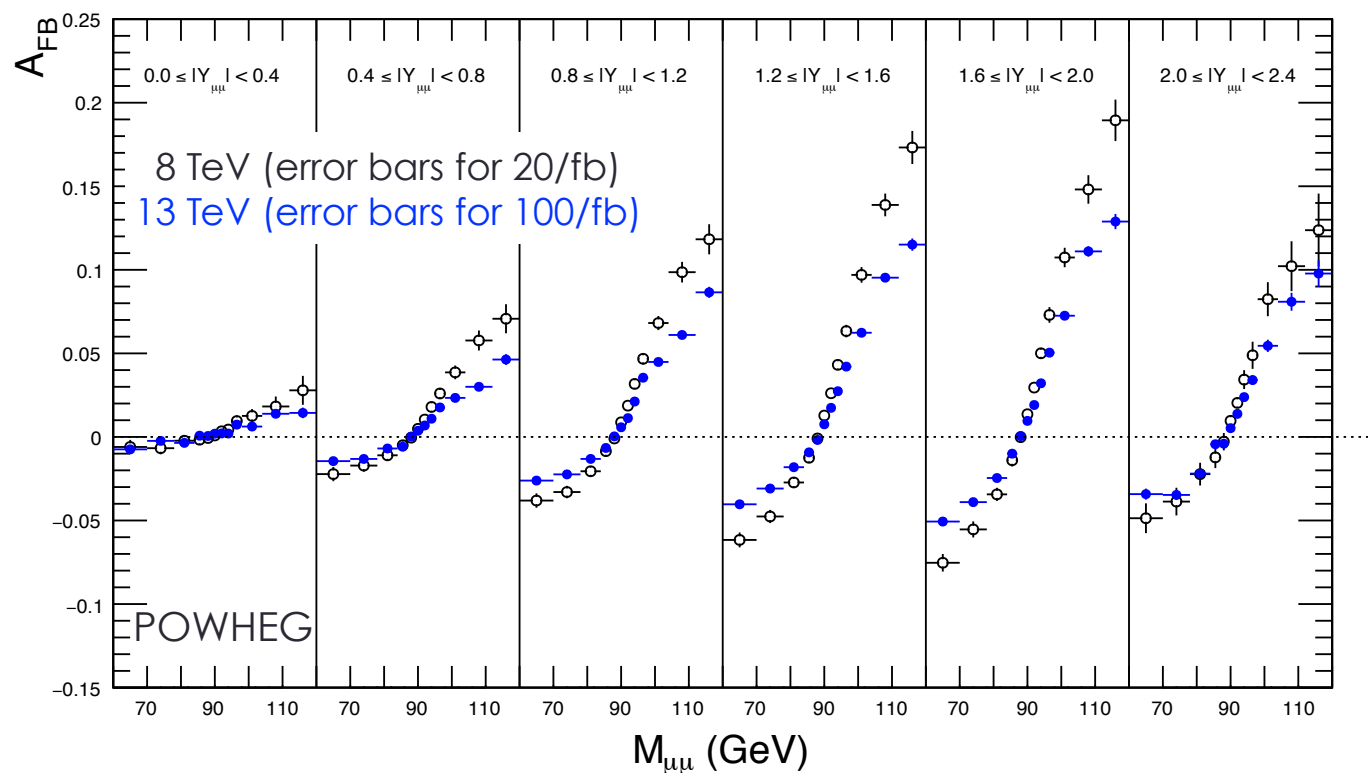
$$\sin^2 \theta_{\text{eff}}^{\text{lept}} = 0.23101 \pm 0.00036(\text{stat}) \pm 0.00018(\text{syst}) \pm 0.00016(\text{theory}) \pm 0.00030(\text{pdf})$$

$$\sin^2 \theta_{\text{eff}}^{\text{lept}} = 0.23101 \pm 0.00052.$$



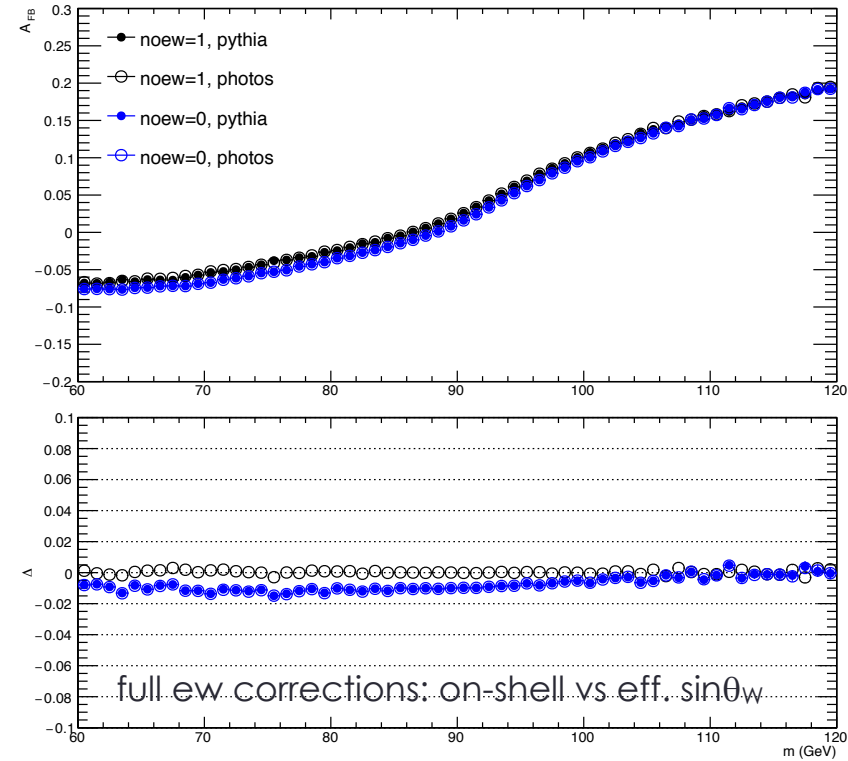
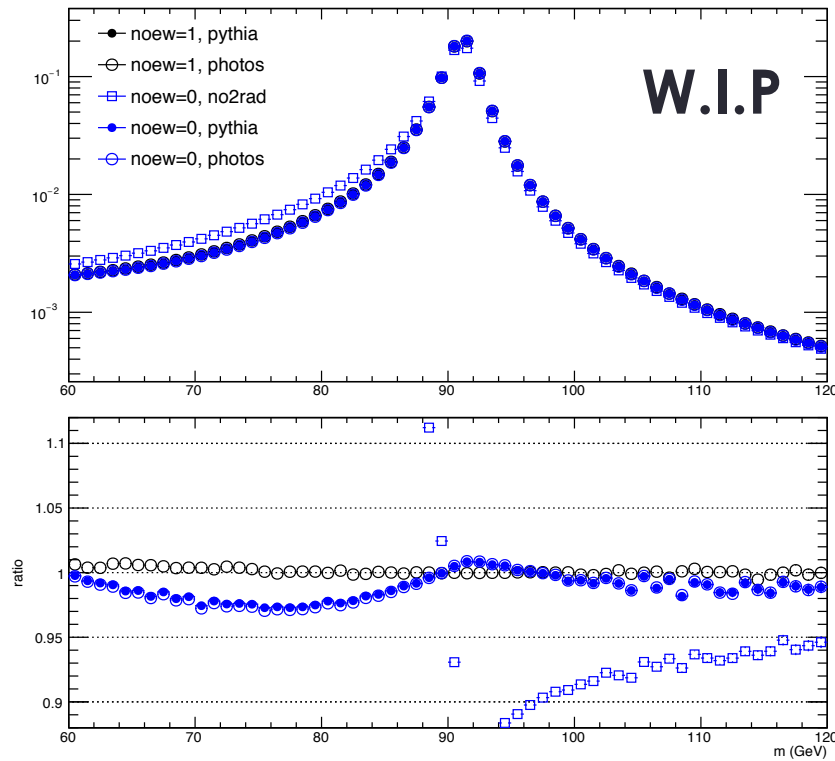
- Statistical uncertainties still dominate
- PDF uncertainties constrained significantly using same AFB distributions
- Experimental uncertainties are small (MC statistical uncertainties will be reduced for more precise data)
- Modeling uncertainties, dominated by QCD scale variations, are small compared to *current* statistical errors

- at 13 TeV less valence quarks contribute (means less observable AFB in pp)
- > larger statistical and PDF errors (if we had same # of events)



- But we will have a lot more data
- With Run2 data, statistical uncertainty will be about half, PDF errors also reduced
- With HL-LHC data, statistical uncertainty will be negligible, PDF errors can be constrained to improve current knowledge of $\sin\theta_{eff}$

- standalone powheg with “built-in” pythia/photos interface



- possibly I have some mis-configuration for matching (?)
- how can we disentangle electroweak effects from possible effects of imperfect matching?
- need $\sin^2\theta_{\text{eff}}$ EW input scheme to quantify the effect

- Presented results from $\sin^2\theta_{\text{eff}}^l$ measurement at 8 TeV
- Statistical uncertainties dominate
- PDF uncertainties constrained significantly using same AFB distributions
- Experimental uncertainties are small
- Modeling uncertainties, dominated by QCD scale variations, are small compared to current statistical errors
- Precision can be improved with more LHC data from run-2 and beyond