

# QCD background processes in BSM searches

Paolo Gunnellini

*on behalf of the ATLAS and CMS Collaborations*

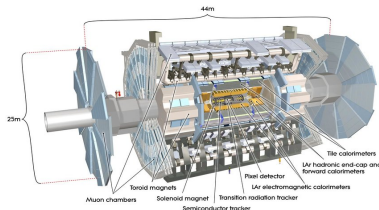
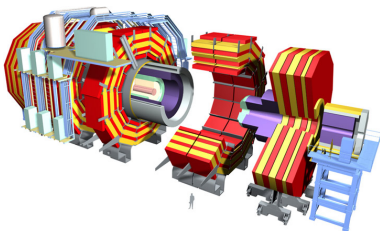


August 2018    QCD@LHC 2018    Dresden (Germany)

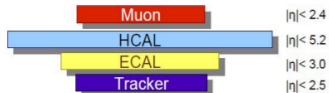
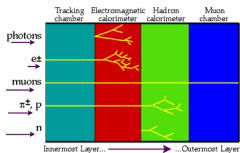
- General points on background estimation
- ① Bump hunt
- ② ABCD, alpha and alphabet methods
- ③ Control regions and transfer functions
- ④ Template method
- ⑤ Parametrized extrapolation
- ⑥ Matrix element method (tight/loose ratio)
- Summary

see talk by Pawel Klimek, Thursday 17.15h  
see talk by Matthias Sampert, Thursday 17.40h

# The CMS and ATLAS detectors



- Excellent performance on lepton identification
- Fine granularity and accurate single-particle reconstruction
- Very good jet energy resolution
- Hermetic coverage for reliable reconstruction of  $E_T^{\text{miss}}$

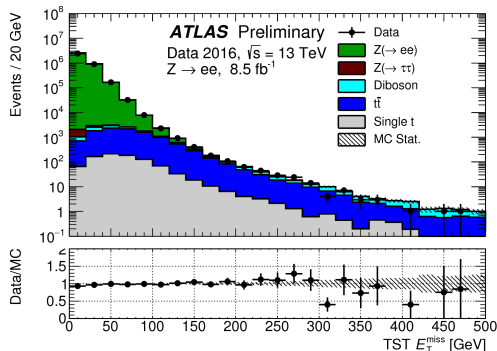


# Understanding detector and predictions

→ Detector performance and measured observables generally well understood

→ Tremendous progress in Monte Carlo predictions

ATLAS-JETM-2016-008



Standard Model processes are backgrounds for searches and need to be carefully evaluated in the extreme regions of the phase space where we look for New Physics

→ Too large number of events to be simulated

→ Corners of phase space might be suboptimally predicted by available MC

→ Theory uncertainties become large when parton shower effects are relevant

**DATA-DRIVEN BACKGROUND ESTIMATION METHODS**

# Which method to use?

## Definition of control and validation regions

- Determination of background normalization
- Determination of background shape

→ Transfer function used for background evaluation in signal region

## **METHOD DEPENDS ON STUDIED SIGNAL**

- **Resonance-like signal**

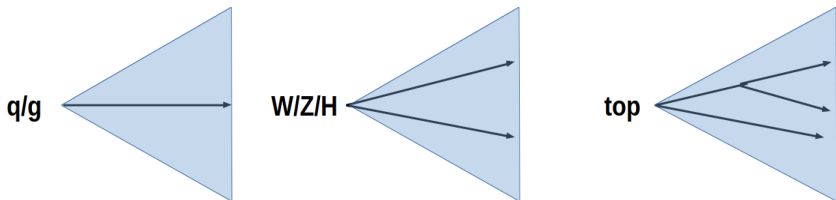
- ① Bump hunt methods
- ② Factorization cuts (ABCD / Alpha/ Alphabet methods)

- **Contribution on tail of distributions**

- ① Factorization cuts (ABCD / Alpha/ Alphabet methods)
- ② Parametrized extrapolation
- ③ Template methods
- ④ ... Matrix method, smearing (replacement) method

**Selection is also crucial for increasing sensitivity to signal  
(trigger, jet substructure, specific taggers..)**

# Tagging boosted heavy objects against QCD



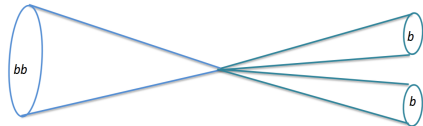
Large variety of techniques to discriminate the different substructure configurations

- large-cone jets (anti- $k_T$  algorithm with  $R = 0.8, 1.0$ )
- removing soft radiation (pruning, grooming, soft-drop...)
- looking at the prongness of the fat jet ( $\tau$ , ECF variables..)
- looking at the constituents ("deep" taggers)

**BUT.. residual contribution from QCD is unavoidable**

See talk Thursday morning by E. Ferreira De Lima and S. Marzani

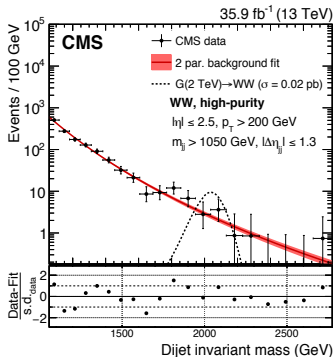
# Methods for background estimation in searches for resonances decaying into heavy bosons or quark pairs



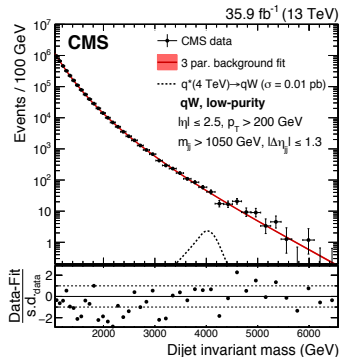




Fit measured distribution of a certain variable (e.g. dijet mass) and investigate the presence of a peak above the QCD background



$$\frac{dN}{dm_{jj}} = \frac{P_0}{(m_{jj}/\sqrt{s})^{P_1}}$$



$$\frac{dN}{dm_{jj}} = \frac{P_0(m_{jj}/\sqrt{s})^{P_2}}{(m_{jj}/\sqrt{s})^{P_1}}$$

Signal parametrized by a crystal ball function for various mass points

Fisher F-test drives the choice of the parametrization (CMS PRD 97 (2018) 072006)

Fit measured distribution of a certain variable (e.g. dijet mass) and investigate the presence of a peak above the QCD background

## PROS:

- A completely data-driven method
- Easy to setup!
- Suitable for background falling spectrum and peaked signal
- It gives a clear and convincing proof of a discovery (presence of heavy resonance)

## CONS:

- Choice of fitted function and number of parameters is arbitrary
- Hard to parametrize turn-on in mass spectrum
- Not very robust at the end of the spectrum
- Very large width resonances may be absorbed in the fit
- Possible spurious signal contamination

# Factorization cuts: ABCD method

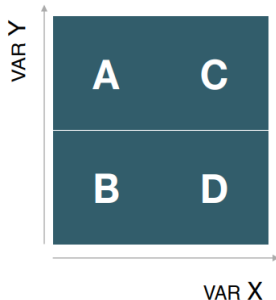
By considering two uncorrelated variables, one splits a 2D phase space, in order to obtain a signal-like and a background-like region

If signal region is A:

$$N_A = N_B \frac{N_C}{N_D}$$

Assumptions:

- Signal contribution is negligible in regions B, C, D
- X variable has no impact on studied background
- X and Y should be uncorrelated



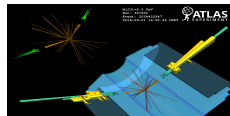
PROS: easy to setup + completely data-driven (which can be validated in MC)

CONS: difficult to test the lack of correlation between the two variables + needed extrapolation, which might be difficult to control

# Bump hunt method tested on ABCD

$\sim 80 \text{ fb}^{-1}$ , data recorded in 2015-2016-2017

Two large-R ( $=1.0$ ) jets with  $\Delta y < 1.2$  and small  $p_T$  asymmetry



V-boson tagger based on jet mass and energy correlation function ratio  $D_2$

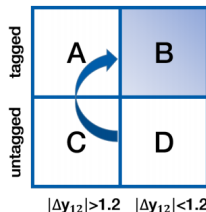
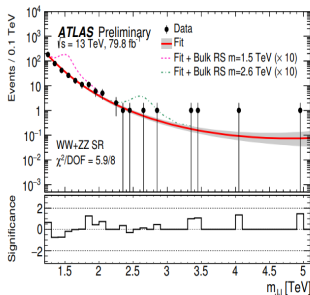
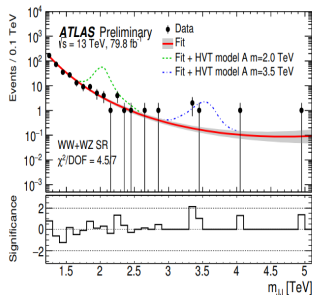
Fit function used in signal region:

$$\frac{dN}{dm_{jj}} = p_1(1-x)^{p_2 - \epsilon p_3} x^{-p_3}$$

ABCD method applied as validation of the assumed parametric shape

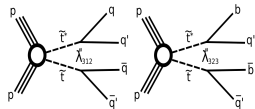
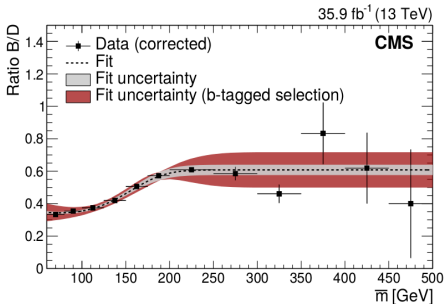
Search for diboson resonances decaying in hadronic final states

VAR X =  $\Delta y$ , VAR Y = V-tagging



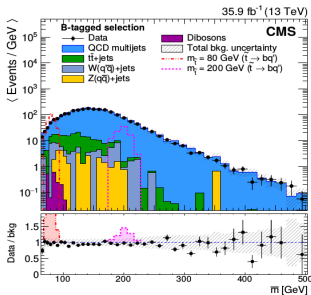
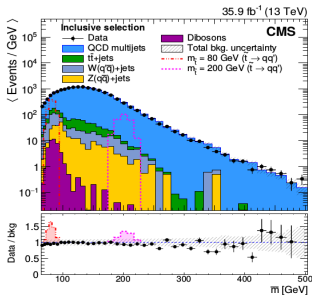
ATLAS-CONF-2018-016

# Factorization cuts: ABCD method



Search for pair-produced resonances decaying into quark pairs

$$\text{VAR } X = m_{\text{asym}}, \text{ VAR } Y = \Delta\eta$$



	$m_{\text{asym}} < 0.1$	$m_{\text{asym}} > 0.1$
$\Delta\eta > 1.5$	Region B	Region D
$\Delta\eta < 1.5$	Region A	Region C

CMS-EXO-17-021  
 Subm. to PRD

# Factorization cuts: alpha method

Definition of control region in order to estimate the background and evaluation of a transfer function ( $\alpha$  ratio) to propagate these events to the signal region

Uncertainties driven by the statistical accuracy of the data in the control region

$$\alpha(x) = \frac{x_{MC}^{SR}}{x_{MC}^{CR}}$$

$$N_{bkg}^{SR}(x) = N_{data}^{CR} \cdot \alpha(x)$$

ASSUMPTIONS:

- Absence of signal in the control region
- MC simulation good in describing the measured  $x$  variable

PROS: Easy, reliable and powerful (for an appropriate MC simulation)

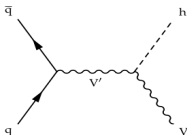
CONS: Function estimated from MC might have large errors

EXAMPLE: Searches for heavy resonances decaying into VH pairs

CMS-B2G-17-004    ATLAS-CERN-EP-2017-111

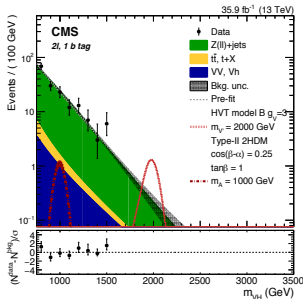
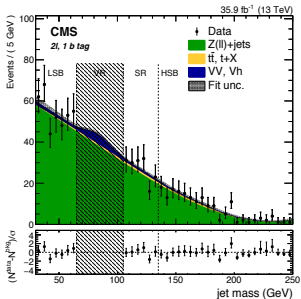
# Factorization cuts: alpha method

Definition of control region in order to estimate the background and evaluation of a transfer function ( $\alpha$  ratio) to propagate these events to the signal region



Selection of two leptons from Z decay and one large-cone jet with 1 b-tagged subjet (Higgs candidate)

Main background consists of DY+jets processes



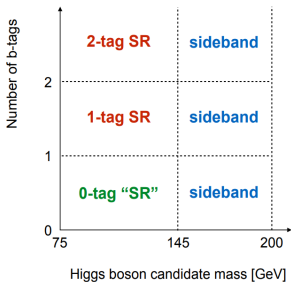
Alpha method for estimation of DY+jets background

$$\alpha(m_{VH}) = \frac{N_{SR}^{MC, bkg}(m_{VH})}{N_{SB}^{MC, bkg}(m_{VH})}$$

$$N_{SR}^{bkg} = [N_{SB}^{data} - N_{otherbkg}] \cdot \alpha$$

CMS-B2G-17-004  
Subm. to JHEP

# Factorization cuts: alpha method

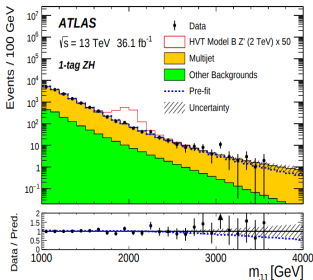
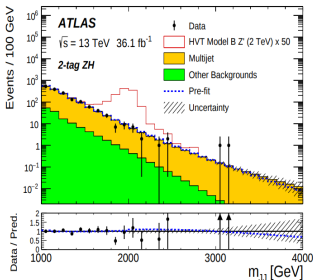


Search for heavy resonances decaying into VH ( $\rightarrow$  qqbb)

Two large-R (1.0) jets at high  $p_T$   
(one V-tagged, one H-tagged)

Definition of a "0 b-tag" control region for multijet background estimation in 1-tag and 2-tag signal regions

$$\mu_{\text{Multijet}}^{1(2)\text{-tag}} = \frac{N_{\text{Multijet}}^{1(2)\text{-tag}}}{N_{\text{Multijet}}^{0\text{-tag}}} = \frac{N_{\text{data}}^{1(2)\text{-tag}} - N_{t\bar{t}}^{1(2)\text{-tag}} - N_{V+\text{jets}}^{1(2)\text{-tag}}}{N_{\text{data}}^{0\text{-tag}} - N_{t\bar{t}}^{0\text{-tag}} - N_{V+\text{jets}}^{0\text{-tag}}}$$



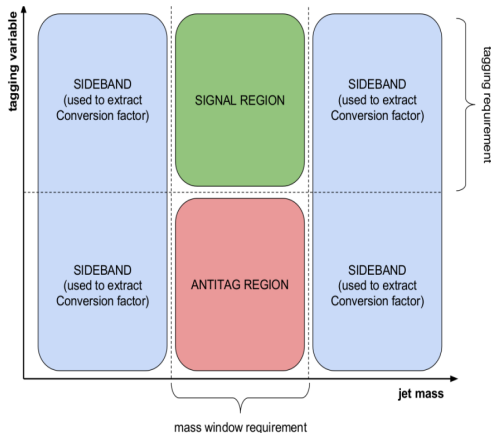
Background estimation improved by fits in the high-mass tail

PLB 774 (2017) 494



# Factorization cuts: alphabet method

Use of multiple sidebands according to two variables, which encapsulate the signal region

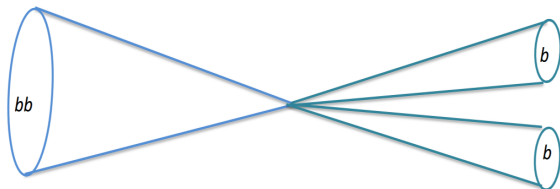


Uncertainties coming from statistical uncertainty of the control regions

## PROS:

- It interpolates, instead of extrapolates (more robust)
- If enough statistics in control regions → reliable method also for regions with low statistics (tails)
- no assumption on shape

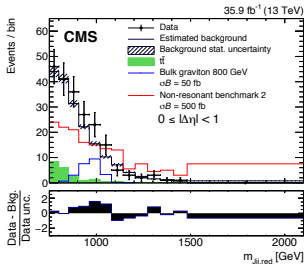
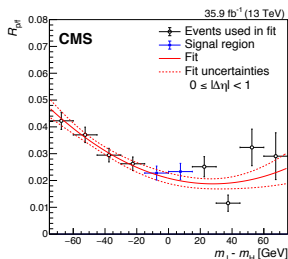
# Factorization cuts: alphabet method



Search for Higgs boson pairs  
in four b-jet final states

Semi-resolved selection:  
2 small-cone b-tag. jets  
1 large-cone double b-tag. jet

Dominant background:  
QCD multijet processes



Pass/fail ratio ( $R_{p/f}$ ):

$$R_{p/f} = \frac{N_{\text{pass}}}{N_{\text{fail}}}$$

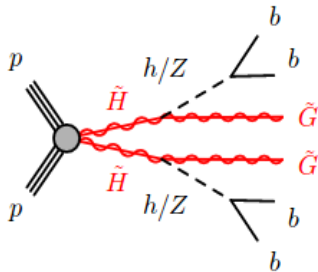
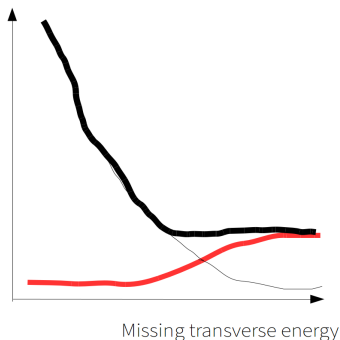
(on double b-tagger  
requirement)

Estimated in sidebands  
(quadratic fit) and  
interpolated in the  
signal region

Background from  $t\bar{t}$  taken from Monte Carlo simulation (@NLO)

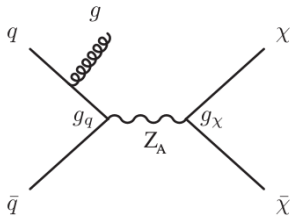
CMS-B2G-17-019 - Subm. to JHEP

# Methods for background estimation in searches for signals in tails of distributions



# Normalization to control regions

Definition of control regions for estimation of background normalization



Search for new phenomena in events with one high- $p_T$  jet and large missing transverse energy

Main background processes are  $W$ +jets,  $Z(\rightarrow \nu\nu)$ +jets,  $t\bar{t}$  final states

ATLAS - JHEP 01 (2018) 126  
CMS - PRD 97 (2018) 092005

Definition of various control regions:

- One for each background process
- Using similar cuts as the signal region
- Simultaneous fit of background normalizations
- Shape taken from simulation

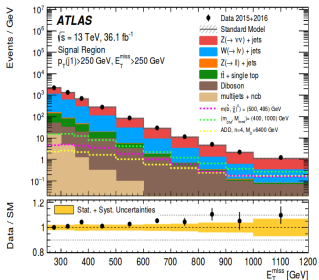
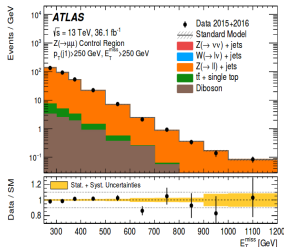
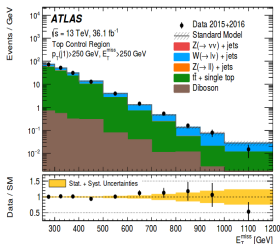
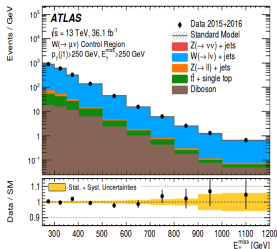
Correction factors:

$W/Z$ +jets(NLO): 1.27

$t\bar{t}$  (NLO): 1.31

# Normalization to control regions

## Definition of control regions for estimation of background normalization

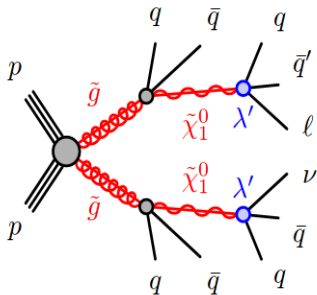


Simultaneous fit of  $E_T^{\text{miss}}$   
 in control regions

Extrapolation to signal region  
 shows agreement with data

JHEP 01 (2018) 126

# Factorization cuts: parametrized extrapolation



Search for new phenomena in multijet final states + lepton

→ Main background from W/Z+jets and  $t\bar{t}$  processes

ATLAS (JHEP (2017) 88)  
CMS (JHEP 05 (2018) 088)

Background normalization based on extrapolation from a lower jet multiplicity  
→ "staircase-scaling" assumption  
→ b-tag multiplicity distributions modelled by simulation

$$N_{j,b}^{W/Z+jets} = \frac{MC_{j,b}^{W/Z+jets}}{MC_j^{W/Z+jets}} \cdot N_5^{W/Z+jets} \cdot \prod_{j'=5}^{j-1} r(j'),$$

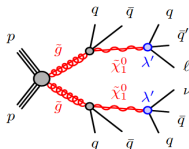
$N_5$  measured from data

$$r(j) = c_0 + c_1/(j+1),$$

$c_0, c_1$  measured from data

Uncertainties from statistical accuracy and modelling of b-tag multiplicity distribution

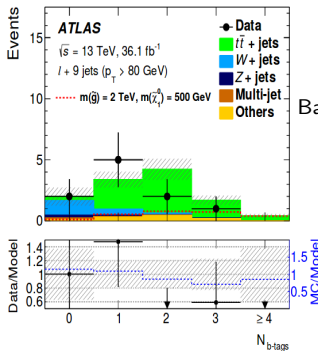
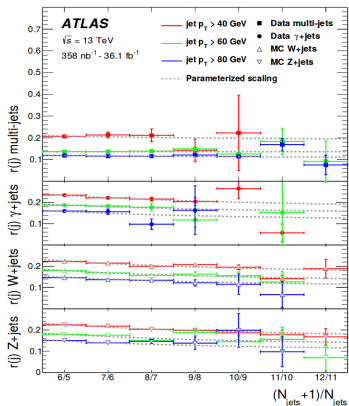
# Factorization cuts: parametrized extrapolation



Search for new phenomena in multijet final states + lepton

ATLAS (JHEP (2017) 88)

Example: estimation of W/Z+jet background



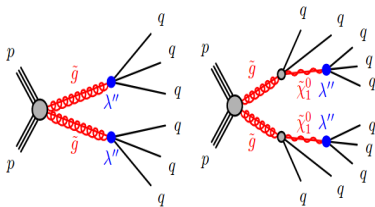
Stair-case scaling confirmed by data

Background extrapolation gives very good compatibility with data in signal region

Similar procedure for  $t\bar{t}$  background estimation

# Template method

- Definition of a signal-depleted control region
- Determination of the background shape in this region
- Propagation of the shape in the signal region



Search for SUSY particles in multijet final states

- Main background from QCD multijet processes

ATLAS (CERN-EP-2017-298) - Subm. to PLB

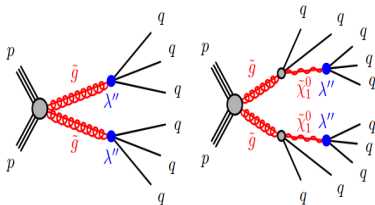
- Selection based on observables from large-radius jets ( $R = 1.0$ )
- Signal extraction from  $M_J^\Sigma = \sum_{j=1..4} m_{jet}^j$

Single-jet templates as a function of jet  $p_T$ ,  $\eta$  and b-quark content  
→ assuming absence of correlation among jets

- Uncertainties estimated through uncertainty determination regions (difference between predictions and observations)
- Four validation regions and five overlapping signal regions



# Template method



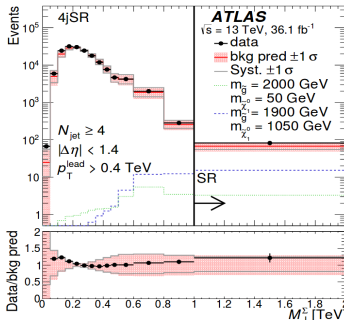
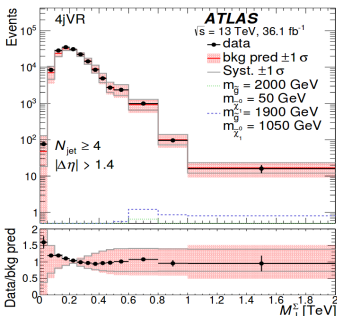
Search for SUSY particles in multijet final states

Control region requiring exactly three high- $p_T$  jets

ATLAS (CERN-EP-2017-298) - Subm. to PLB

→ Selection based on observables from large-radius jets ( $R = 1.0$ )

→ Signal extraction from  $M_J^\Sigma = \sum_{j=1..4} m_{jet}^j$



Templates are used for extracting  $M_J^\Sigma$  and normalized to the region between 0.2 and 0.6 TeV → looking for discrepancies at large  $M_J^\Sigma$

# Matrix method (tight/loose ratio)

Data-driven estimation of fake lepton identification from QCD multijet events

→ Definition of a lepton "tight-selection" and a "loose-selection" sample in QCD-enriched control regions

$$N^{loose} = N_{real}^{loose} + N_{fake}^{loose} \qquad N^{tight} = \epsilon_{real} \cdot N_{real}^{loose} + \epsilon_{fake} \cdot N_{fake}^{loose}$$
$$N_{fake}^{tight} = \frac{\epsilon_{fake}}{\epsilon_{real} - \epsilon_{fake}} (N^{loose} \epsilon_{real} - N^{tight})$$

**Challenge: determination of  $\epsilon_{real}$  and  $\epsilon_{fake}$**

$\epsilon_{fake}$ : percentage of jets, selected with the loose lepton selection passing the tight selection

$\epsilon_{real}$  : percentage of loose leptons passing the tight selection

Search for gluinos with an isolated lepton, jets and  $E_T^{miss}$  - ATLAS - EPJC 76 (2016) 565

# Matrix method (tight/loose ratio)

Determination of  $\epsilon_{real}$ : tag-and-probe method

- Require a lepton-pair to be within the Z mass window
- Tag electron selected with tight selection
- Probe electron identified with loose selection

Measurement of the percentage of loose electrons which pass also the tight selection

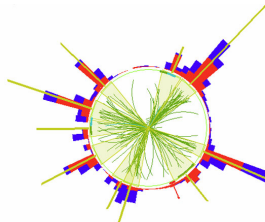
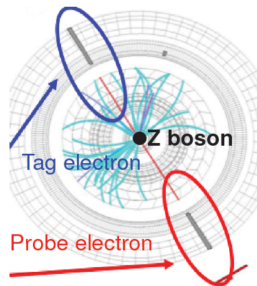
Determination of  $\epsilon_{fake}$ : QCD-dominated control regions with loose selection

→ measurement of percentage of jets that also pass the tight lepton selection

→ Selection in control region as independent as possible from the signal selection

PRO: can be used for a general number of final-state leptons

CON: possible overlaps between various backgrounds



- LHC is delivering a large amount of data, which are being used for precision measurements and searches for new physics
- A large variety of clever and robust methods to estimate contributions from Standard Model processes directly from data is available and well understood
- The variety of methods allows cross check and their combination is useful to reduce systematic uncertainties/biases
- Input from theory more substantial for searches of non-resonant signals
- So far, no deviations from QCD/SM predictions in data even in remote corners of phase space

# THANKS FOR YOUR ATTENTION

...and thanks to the EXO, SUSY, SMP, B2G conveners of the ATLAS and CMS collaborations for the help during the preparation of the slides!

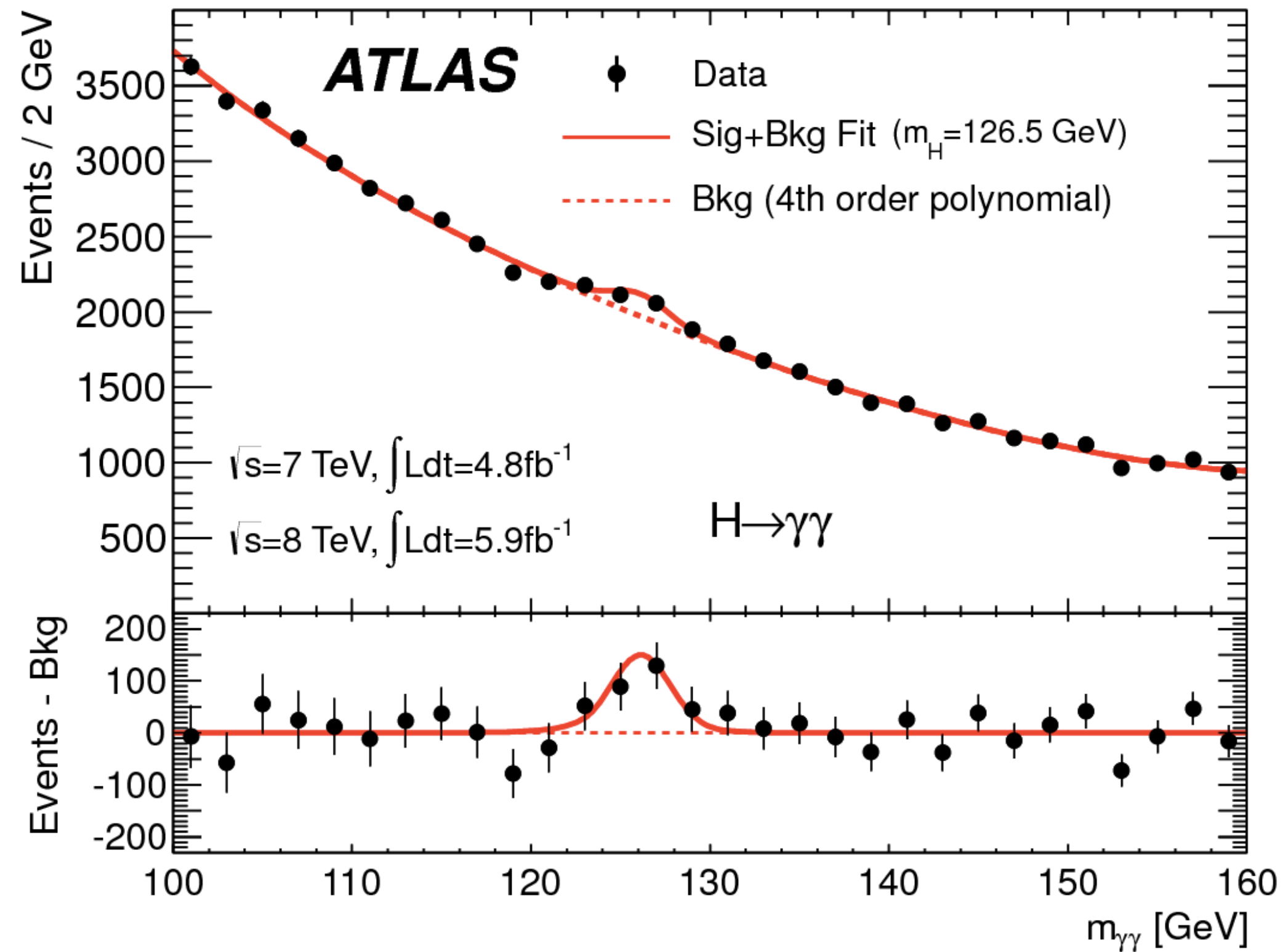
# QCD background processes in BSM searches: theory

Jonas M. Lindert

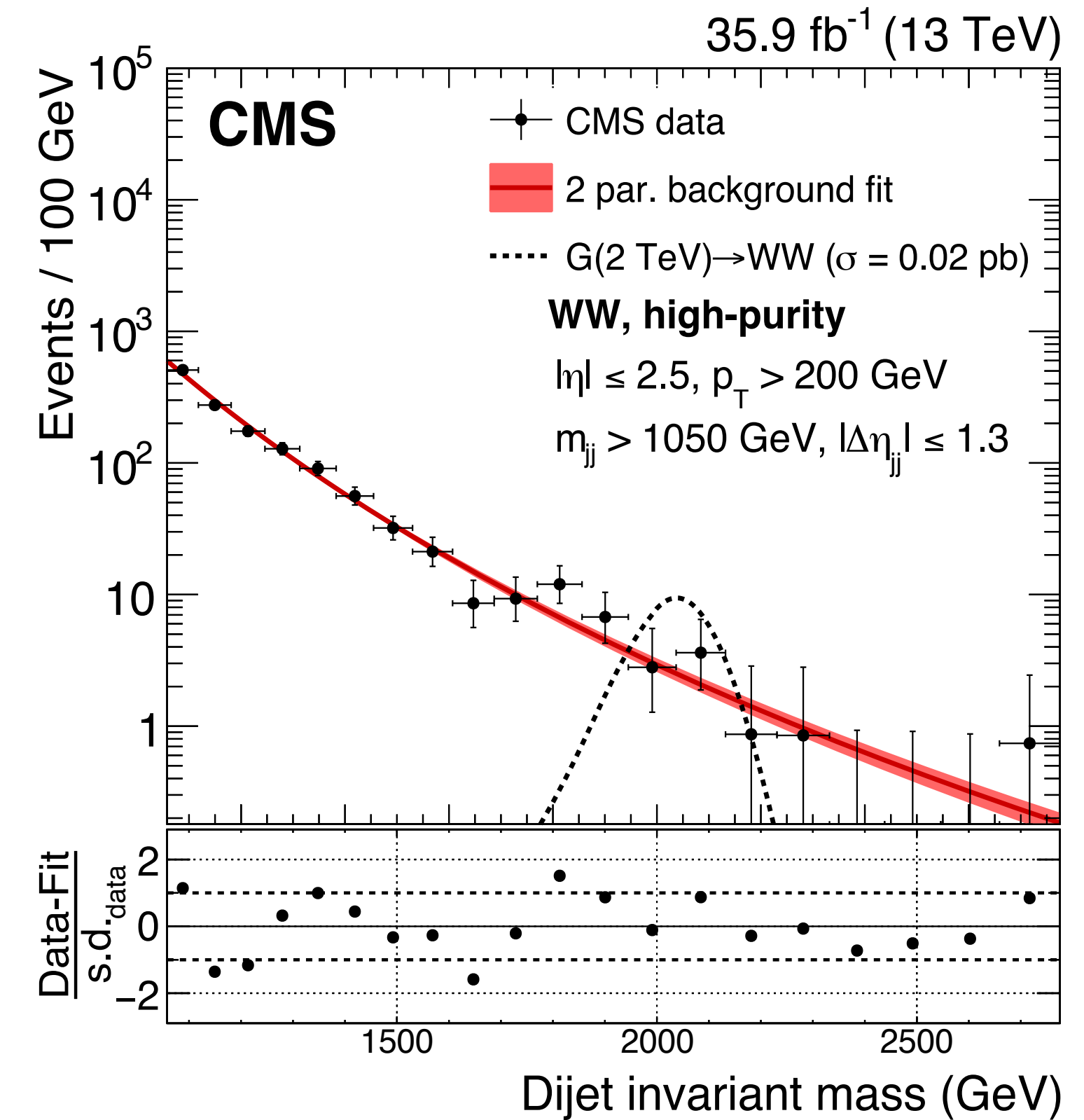


QCD@LHC  
Dresden, 28. August 2018

From a theory/pheno perspective finding resonances is very easy...



- Higgs at 125 GeV allowed for very clean discovery in  $\gamma\gamma$  & 4l channels



$$\frac{dN}{dm_{jj}} = \frac{P_0}{(m_{jj}/\sqrt{s})^{P_1}}$$

- Bump hunting: little to no theoretical input needed.

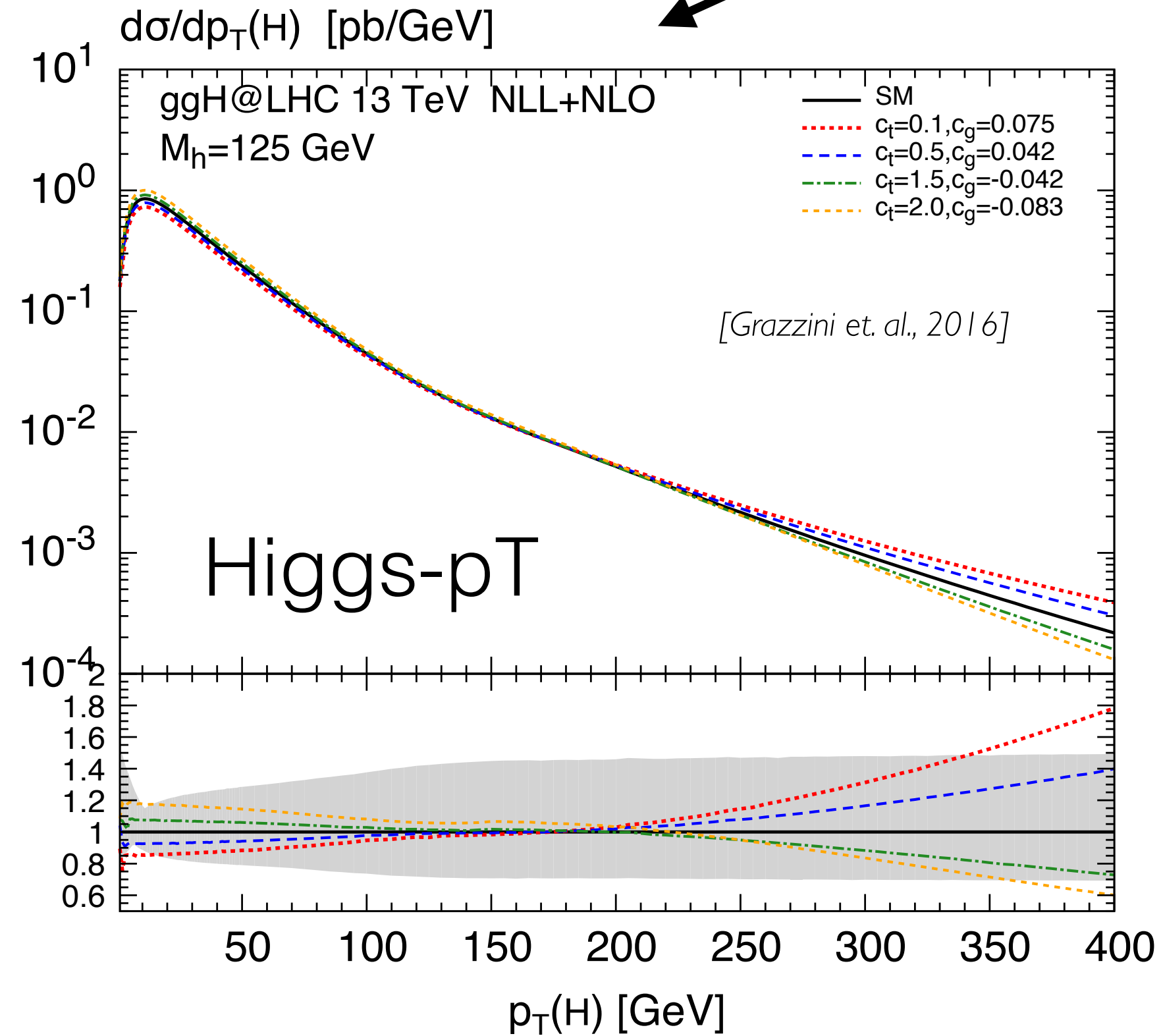
...finding new physics in tails of kinematic distributions is tough!

indirect searches

Higgs

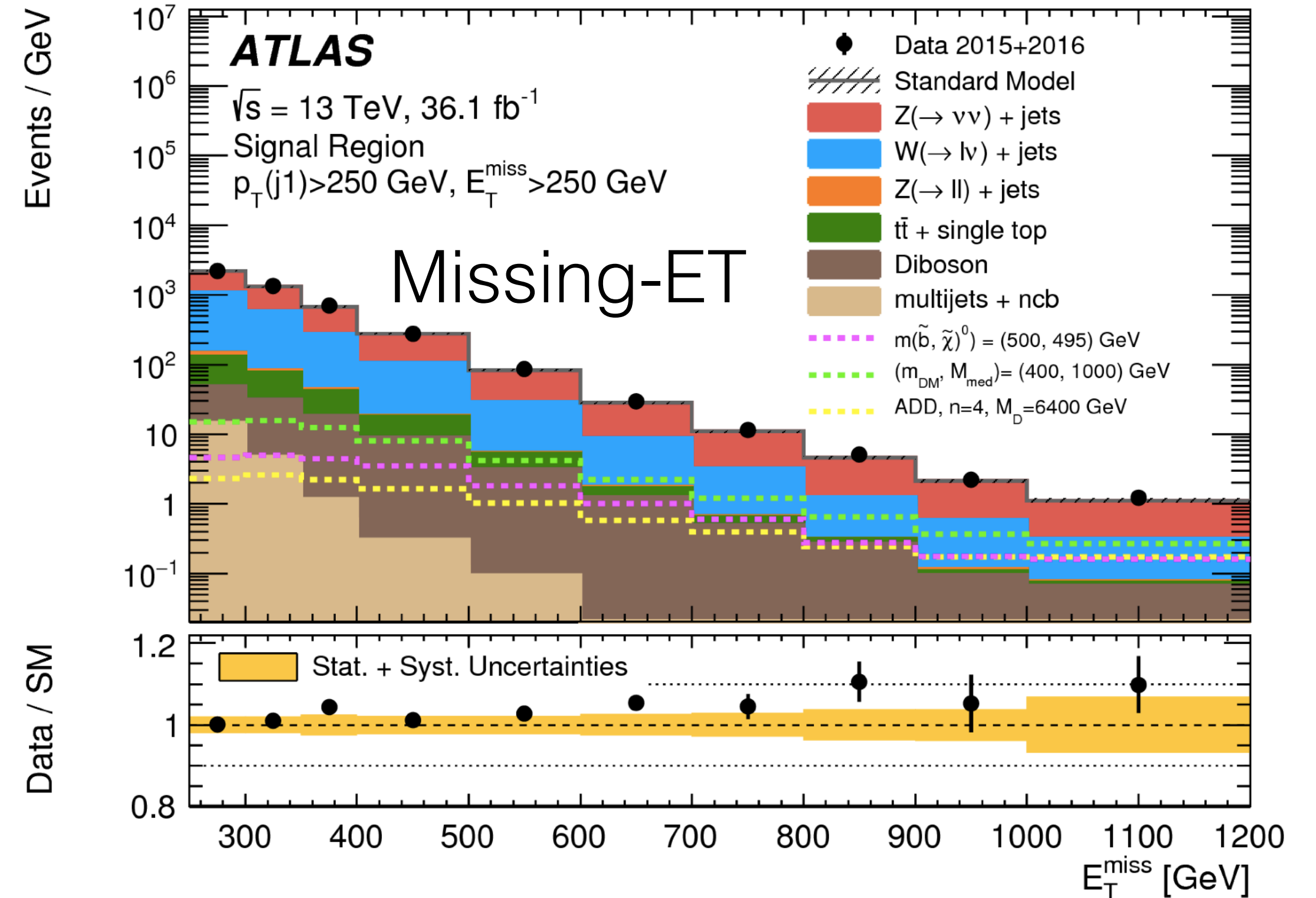
Dark Matter

direct searches



Look for BSM effects in small deviations from SM predictions:

- Higgs processes natural place to look at
- **good control on theory necessary!**



- Dark Matter particles produced at the LHC leave the detectors unobserved: signature missing transverse energy
- large irreducible SM backgrounds
- **good control on theory necessary!**

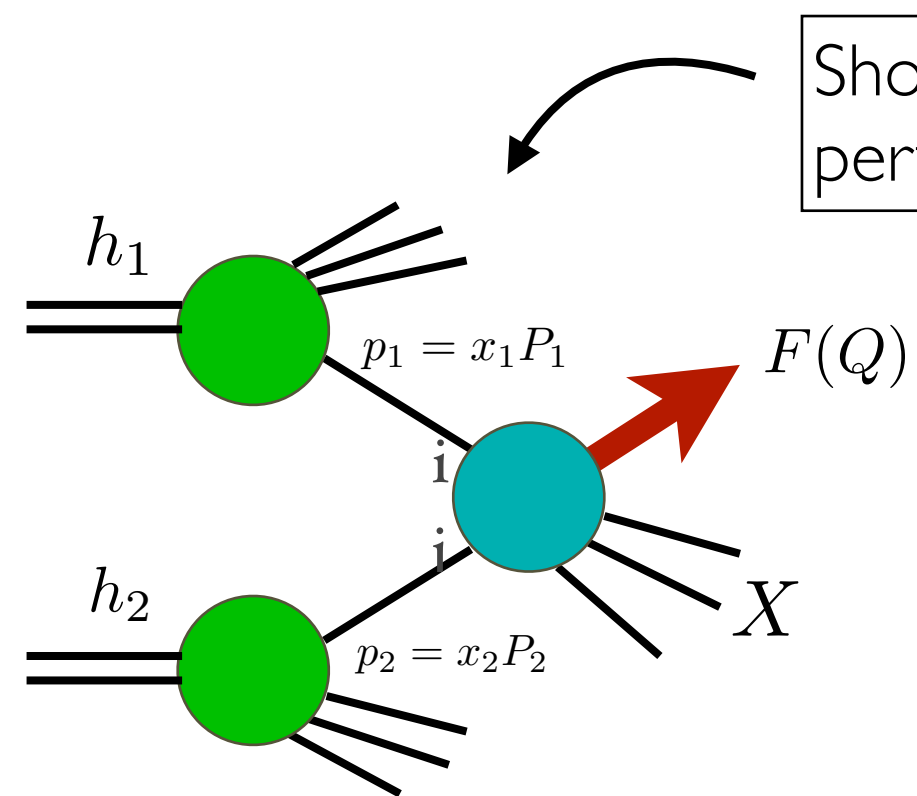


# Theoretical Predictions for the LHC

Hadronization/fragmentation/decay  
 ▶ pheno models

Multi Particle Interactions (MPI)  
 ▶ pheno model

Key: QCD factorization:



Short distance non-perturbative effects (PDFs)

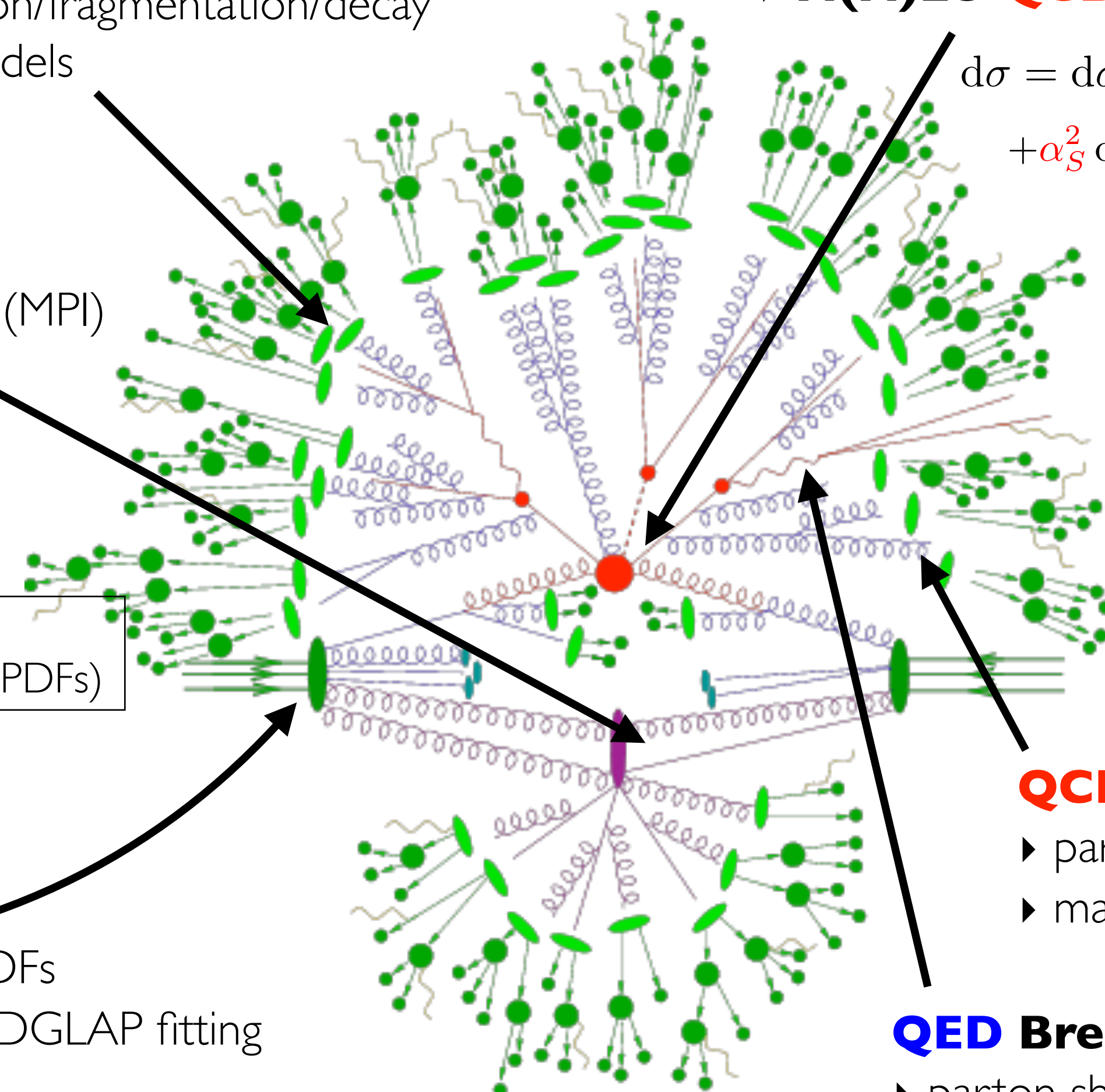
PDFs  
 ▶ DGLAP fitting

$$d\sigma = \sum_{ij} \int dx_1 dx_2 f_1^{(P_1)}(x_1) f_2^{(P_2)}(x_2) d\hat{\sigma}_{ij}(x_1 x_2 s)$$

**Hard (perturbative) scattering process**

▶ **N(N)LO QCD + EW**

$$d\sigma = d\sigma_{LO} + \alpha_S d\sigma_{NLO} + \alpha_{EW} d\sigma_{NLO EW} + \alpha_S^2 d\sigma_{NNLO} + \alpha_{EW}^2 d\sigma_{NNLO EW} + \alpha_S \alpha_{EW} d\sigma_{NNLO QCD \times EW}$$



**QCD Bremsstrahlung**

- ▶ parton shower
- ▶ matched to NLO matrix elements

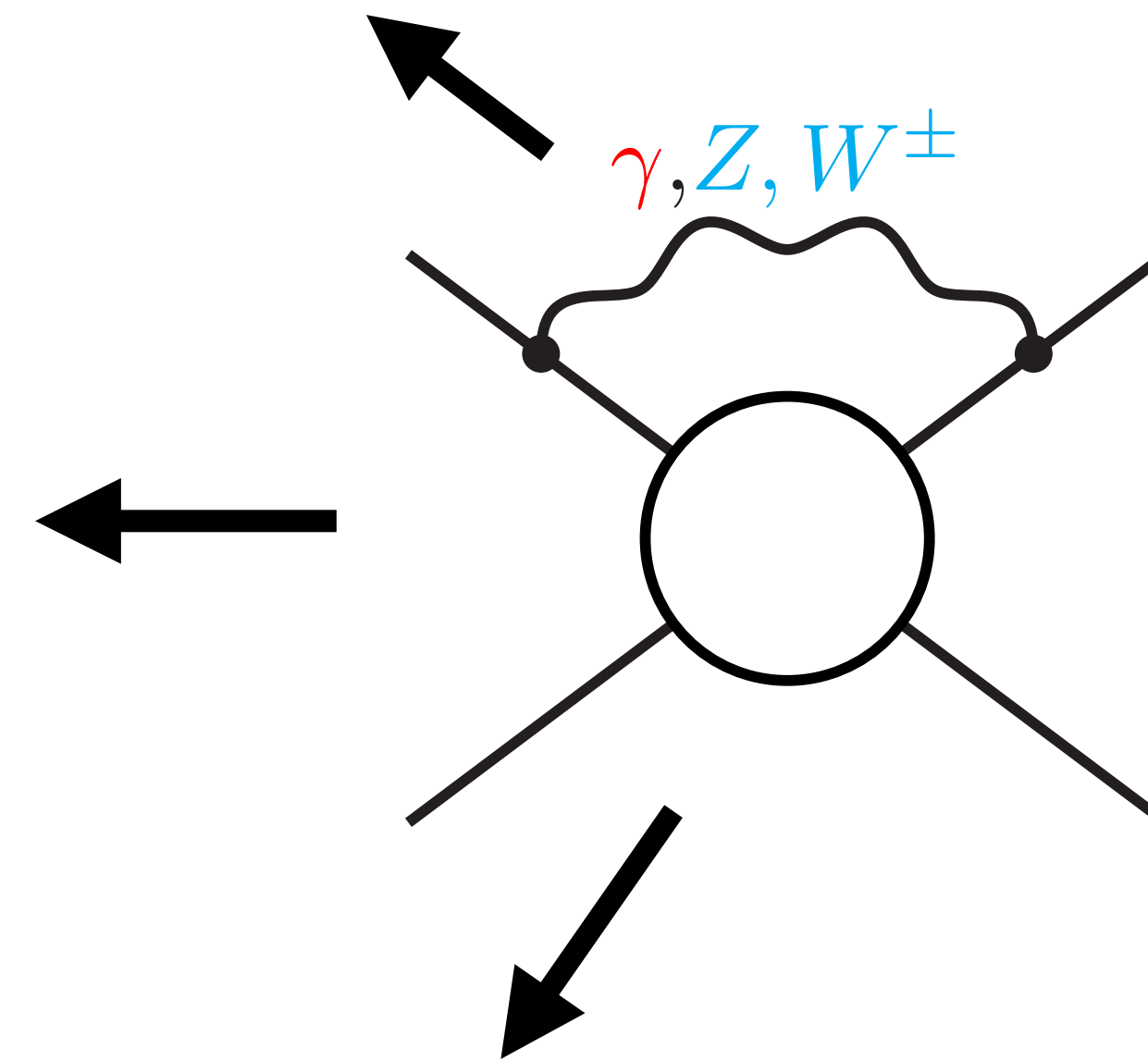
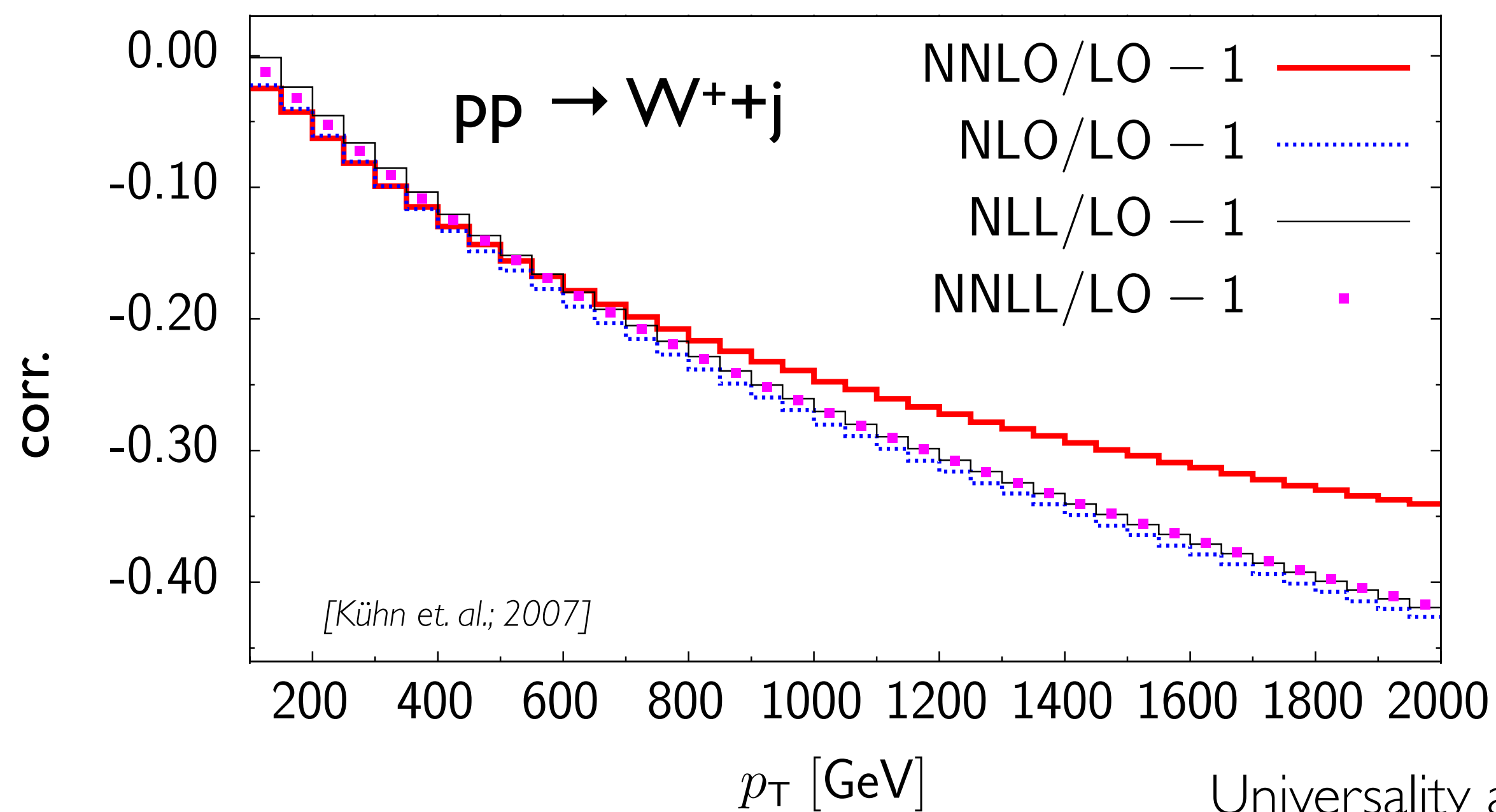
**QED Bremsstrahlung**

- ▶ parton shower
- ▶ matched to NLO matrix elements

# Relevance of EW higher-order corrections in the tails of kinematic distributions

Numerically  $\mathcal{O}(\alpha) \sim \mathcal{O}(\alpha_s^2) \Rightarrow$  **NLO EW ~ NNLO QCD**

Possible large (negative) enhancement due to soft/collinear **logs** from virtual EW gauge bosons:



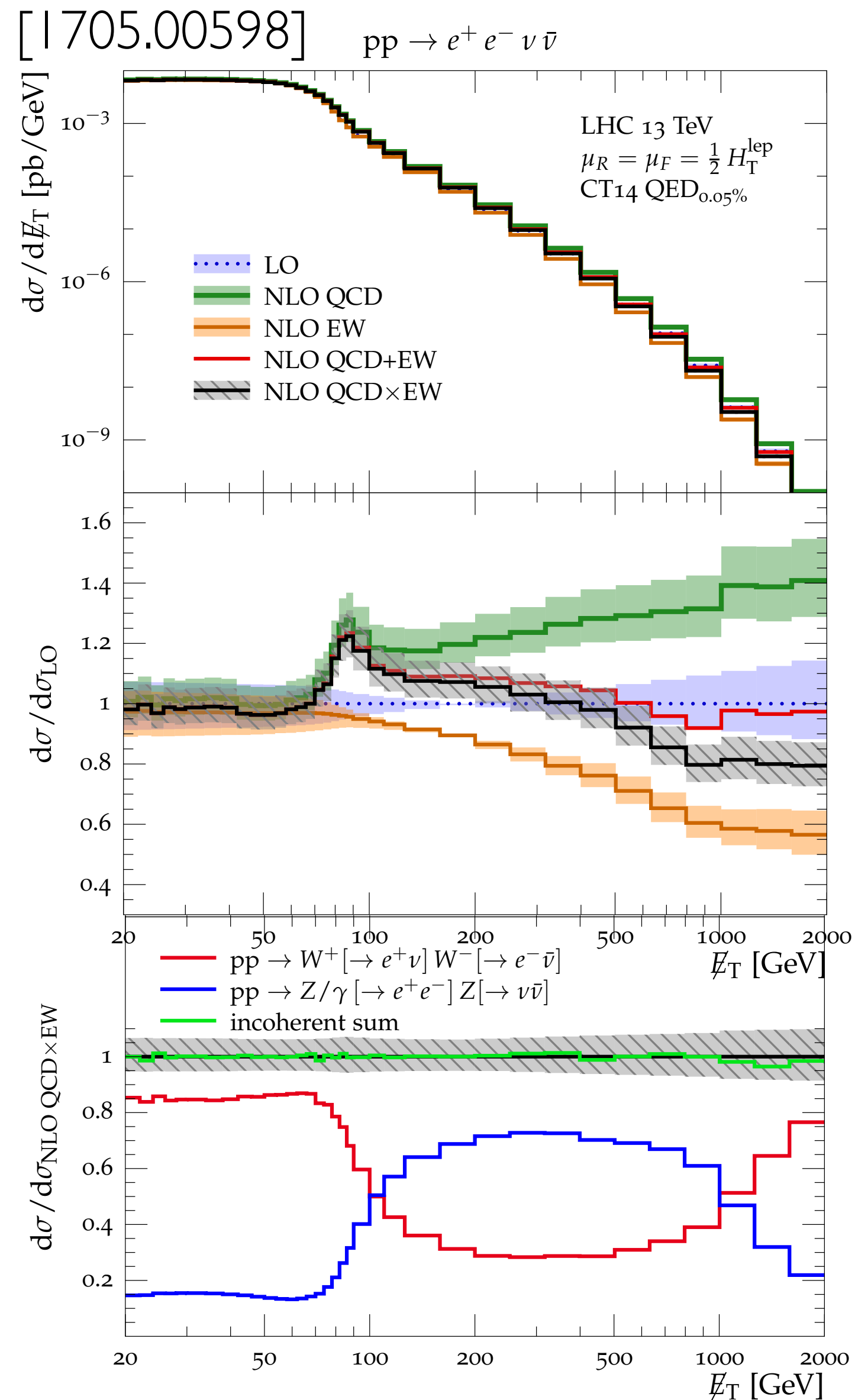
[Ciafaloni, Comelli, '98;  
Lipatov, Fadin, Martin, Melles, '99;  
Kuehen, Penin, Smirnov, '99;  
Denner, Pozzorini, '00]

Universality and factorisation: [Denner, Pozzorini; '01]

$$\delta\mathcal{M}_{\text{LL+NLL}}^{1\text{-loop}} = \frac{\alpha}{4\pi} \sum_{k=1}^n \left\{ \frac{1}{2} \sum_{l \neq k} \sum_{a=\gamma, Z, W^\pm} I^a(k) I^{\bar{a}}(l) \ln^2 \frac{\hat{s}_{kl}}{M^2} + \gamma^{\text{ew}}(k) \ln \frac{\hat{s}}{M^2} \right\} \mathcal{M}_0$$

$\rightarrow$  overall large effect in the tails of distributions:  $p_T, m_{\text{inv}}, H_T, \dots$  (relevant for BSM searches!)

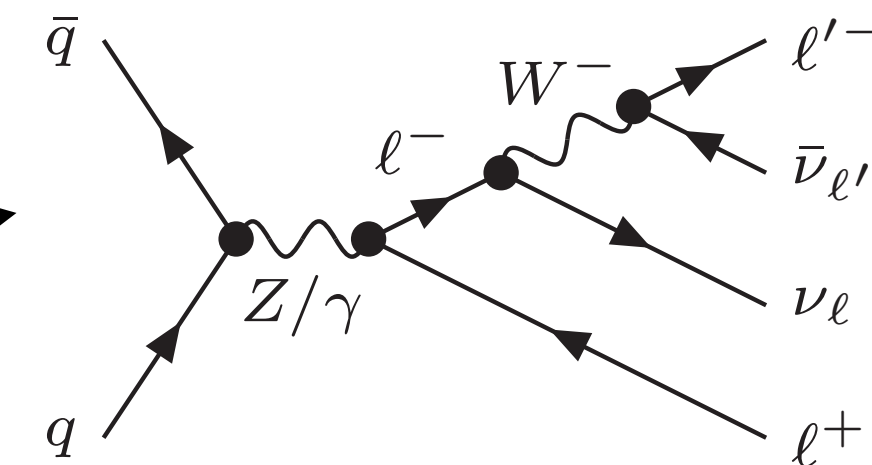
# off-shell vector-boson pair production at NLO QCD+EW



Effect of EW corrections strongly depends on the observable.

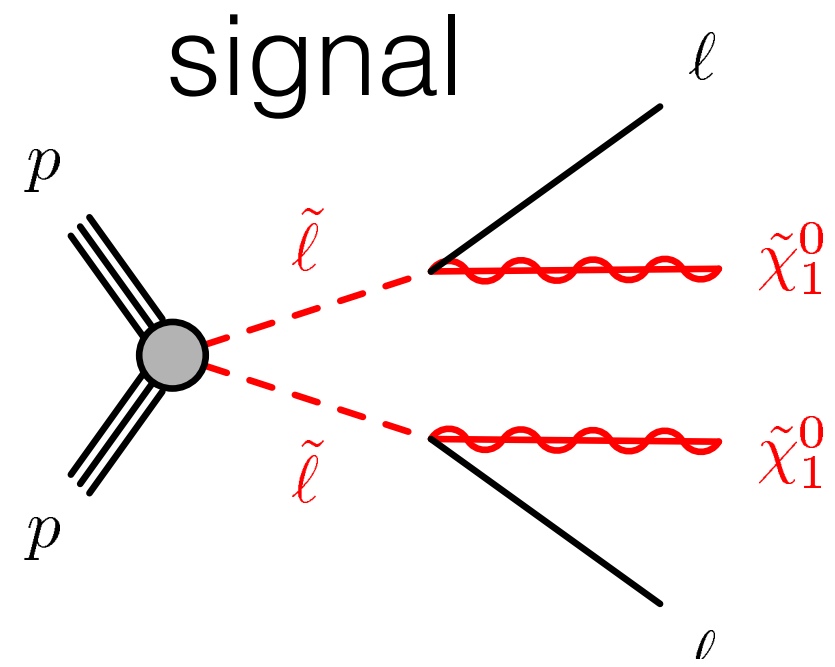
## MET

- ▶ at large MET  $> M_W$ :  
W's are forced off-shell

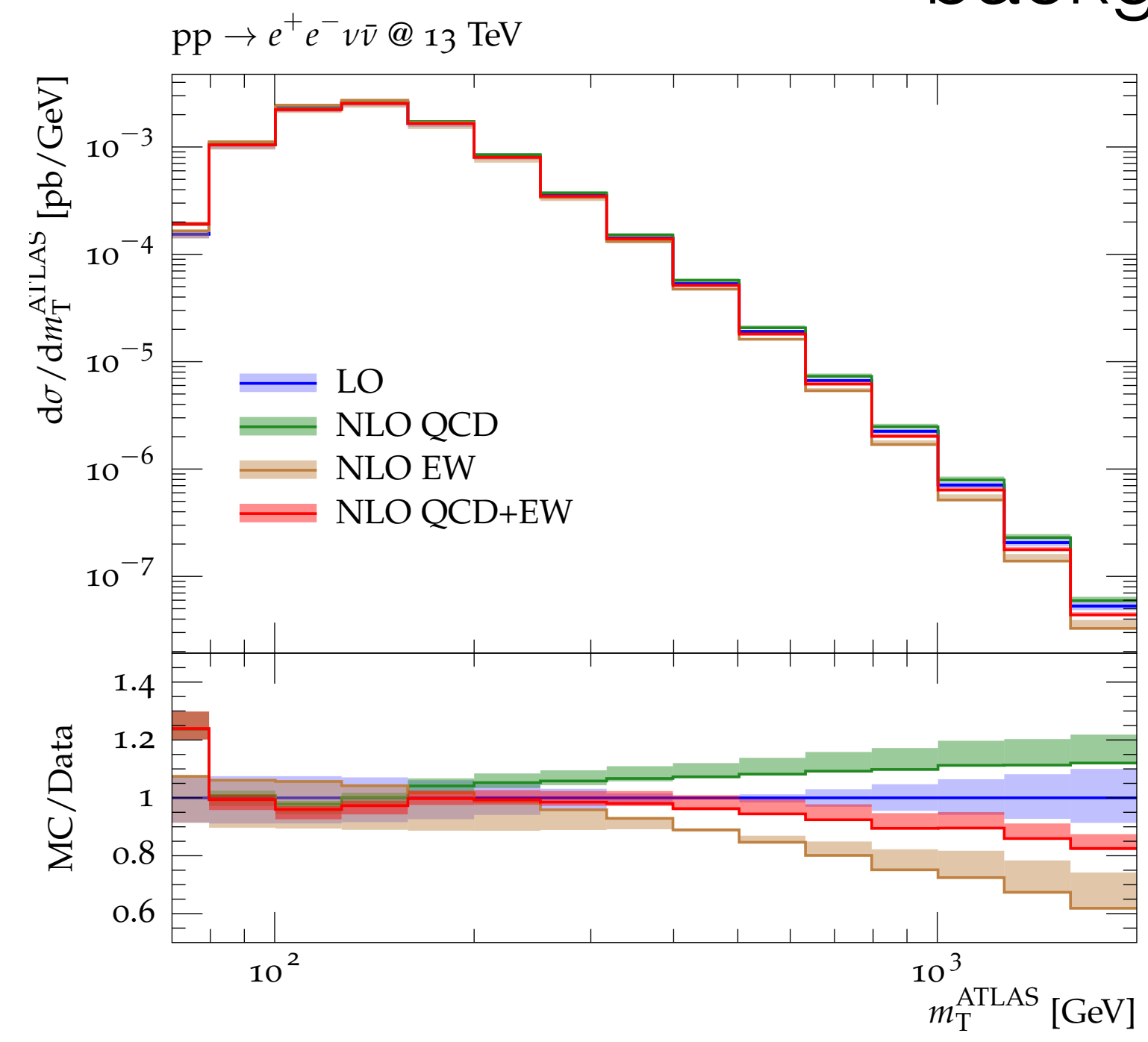
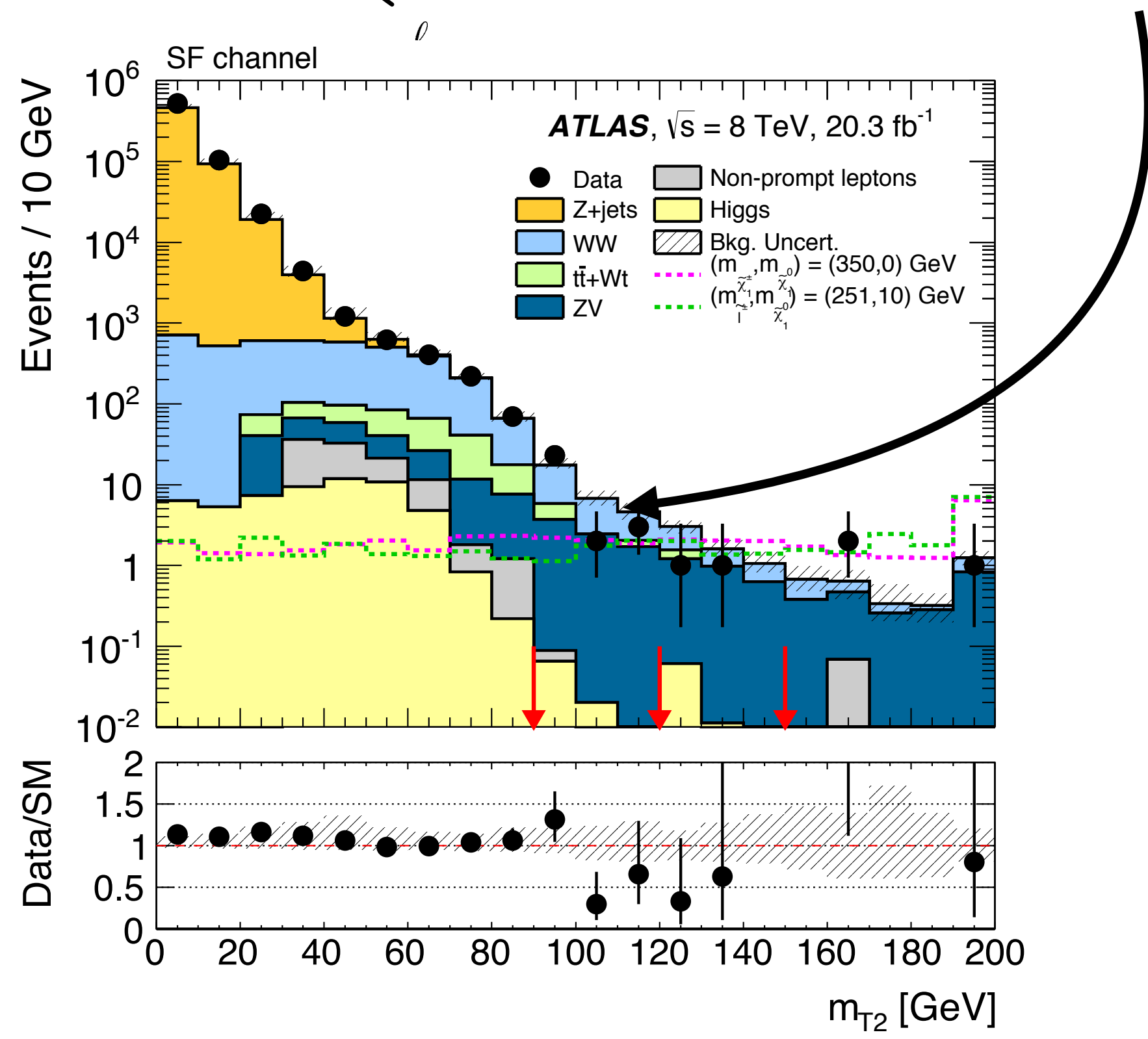
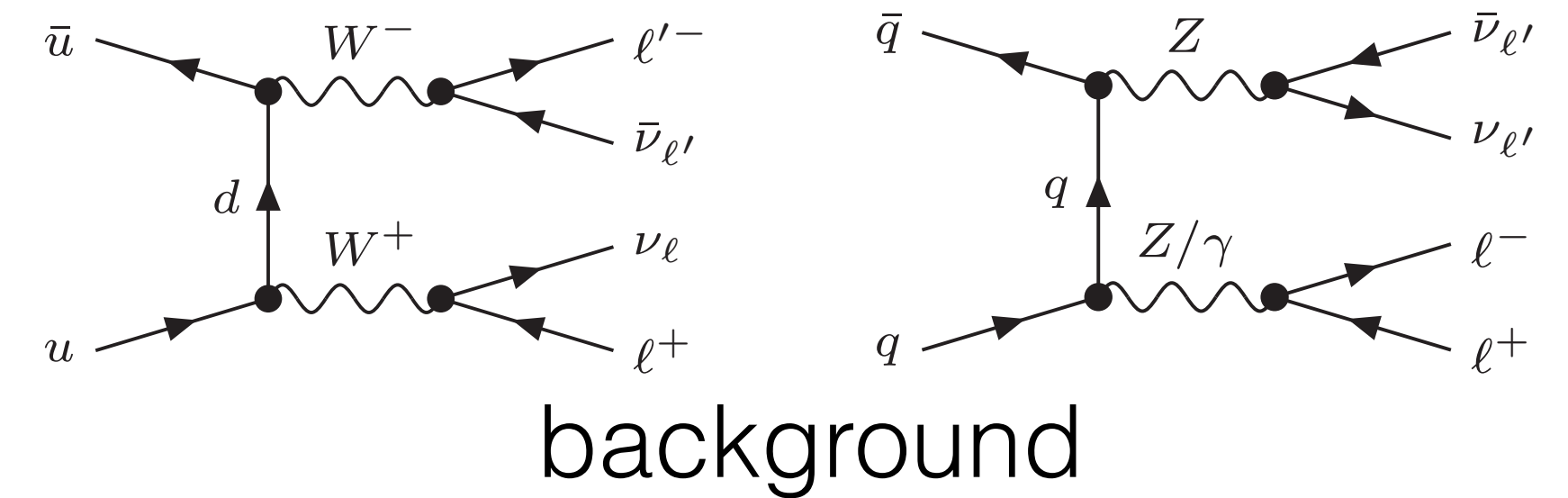


- ▶ jump in QCD corrections  
(extra jet unlocks back-to-back configuration)
- ▶ very large EW corrections: up to 50% (WW/ZZ dependent!)
- ▶ WW-ZZ interference very suppressed (as expected from LO)

# off-shell vector-boson pair production at NLO QCD+EW



Direct Slepton pair production  
 Signature: **2 OS-SF leptons + MET**  
 Background:  $W^+W^-/ZZ \rightarrow 2l2\nu$

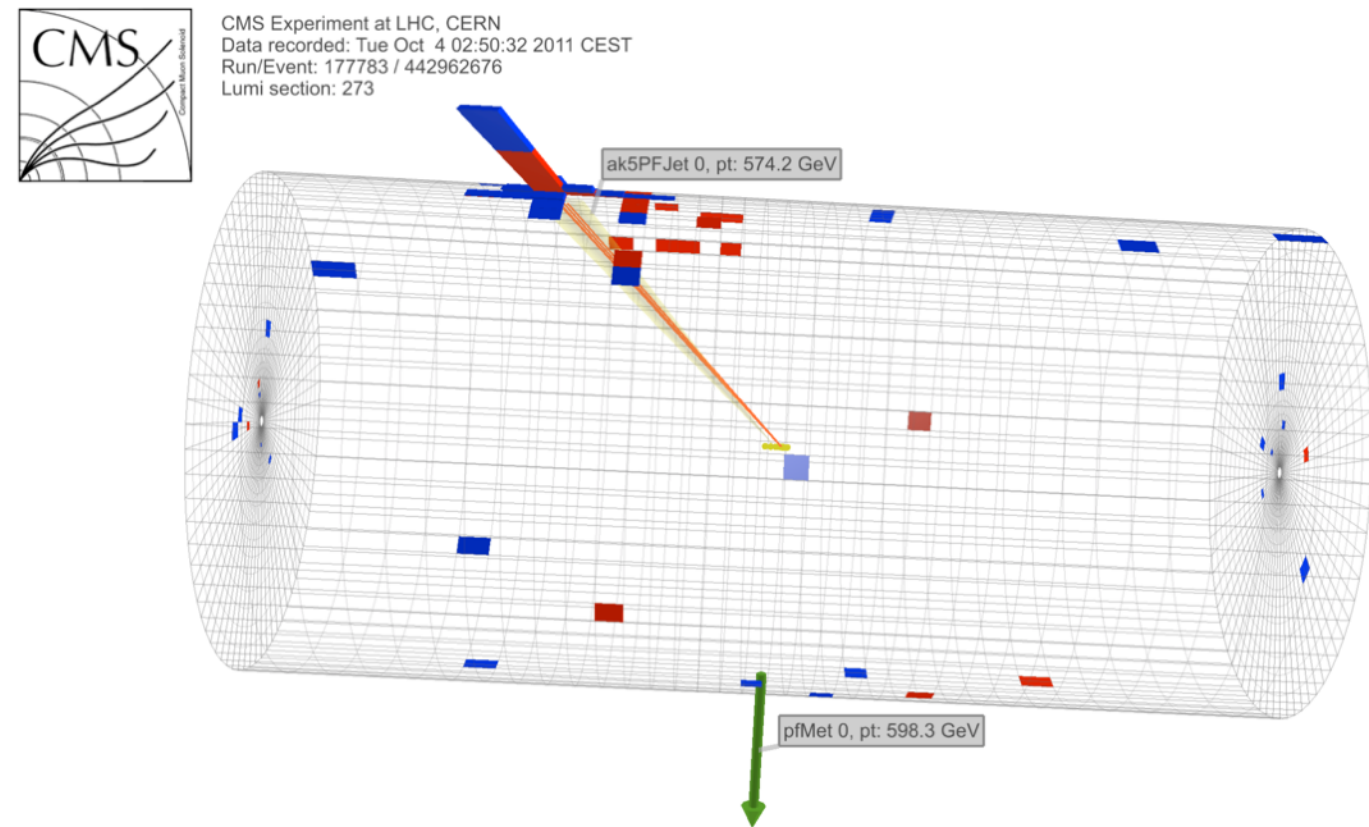
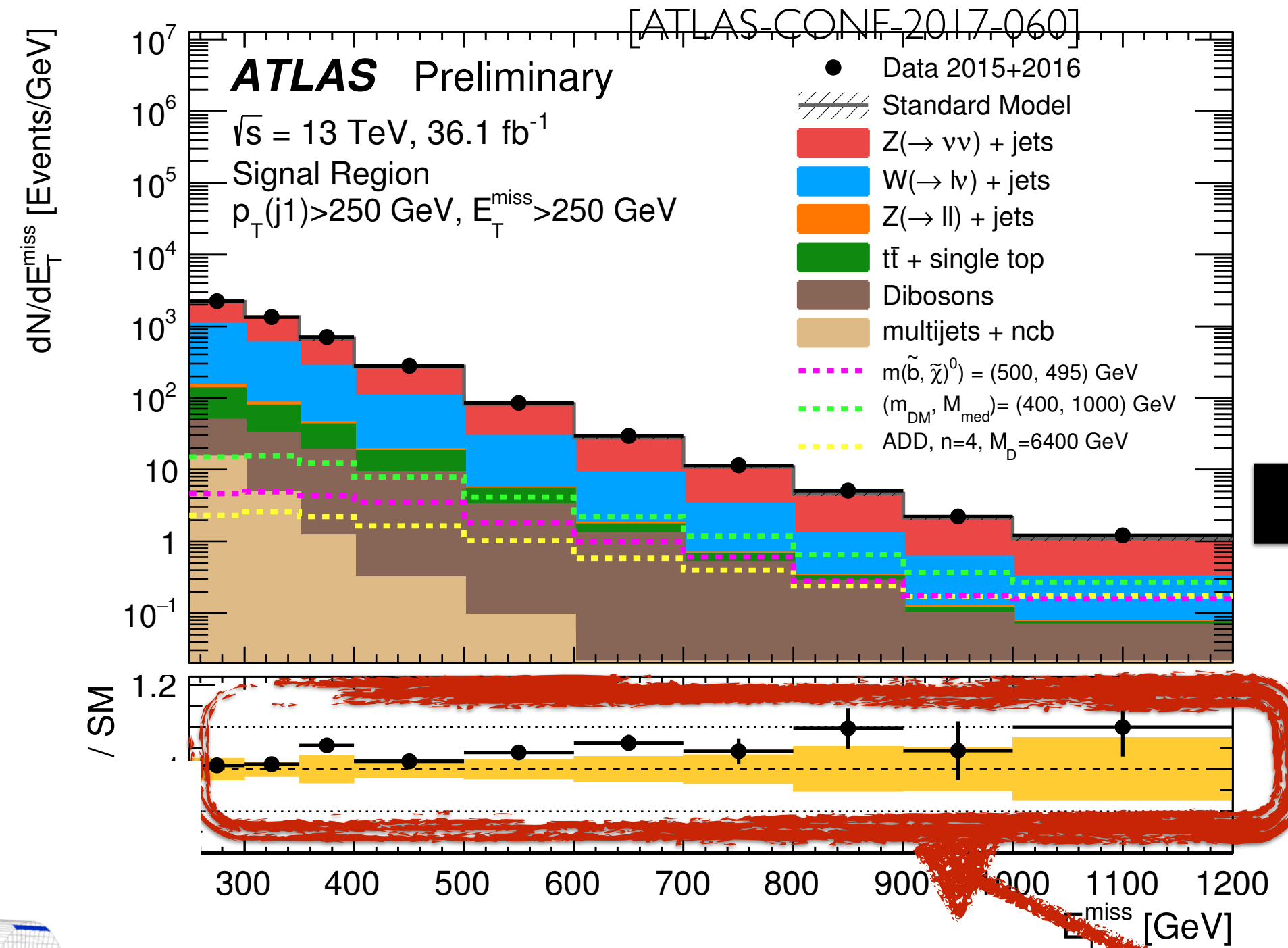
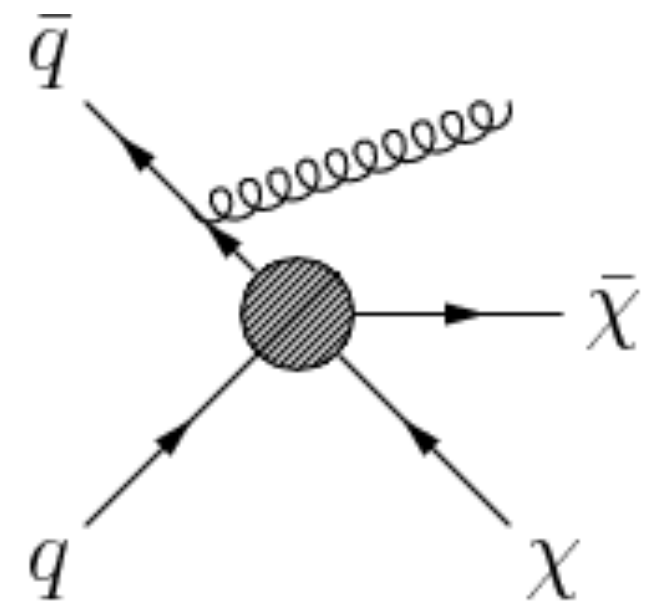


- VV background entirely from MC
- validated in control regions

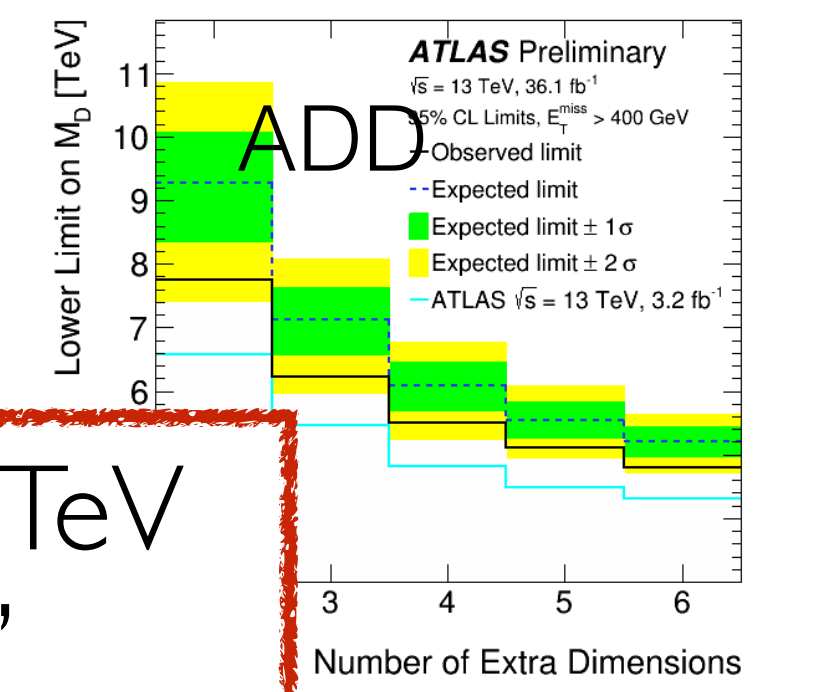
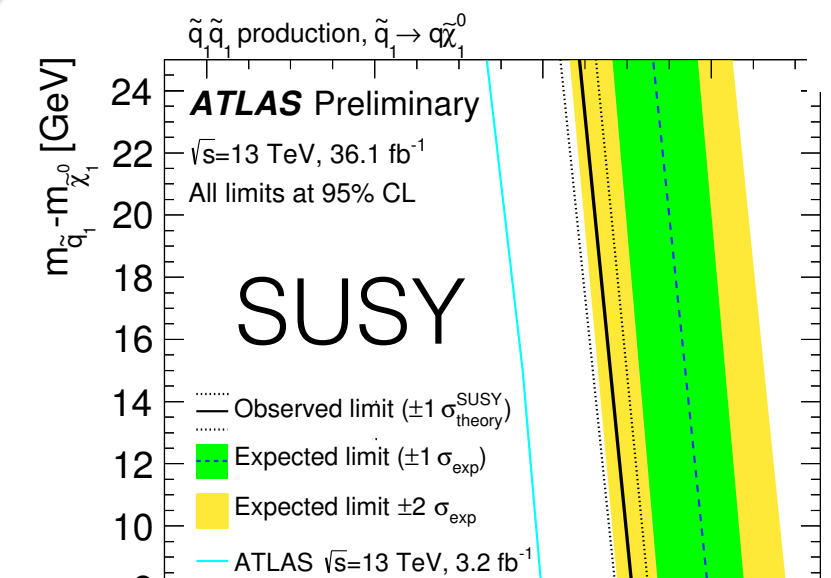
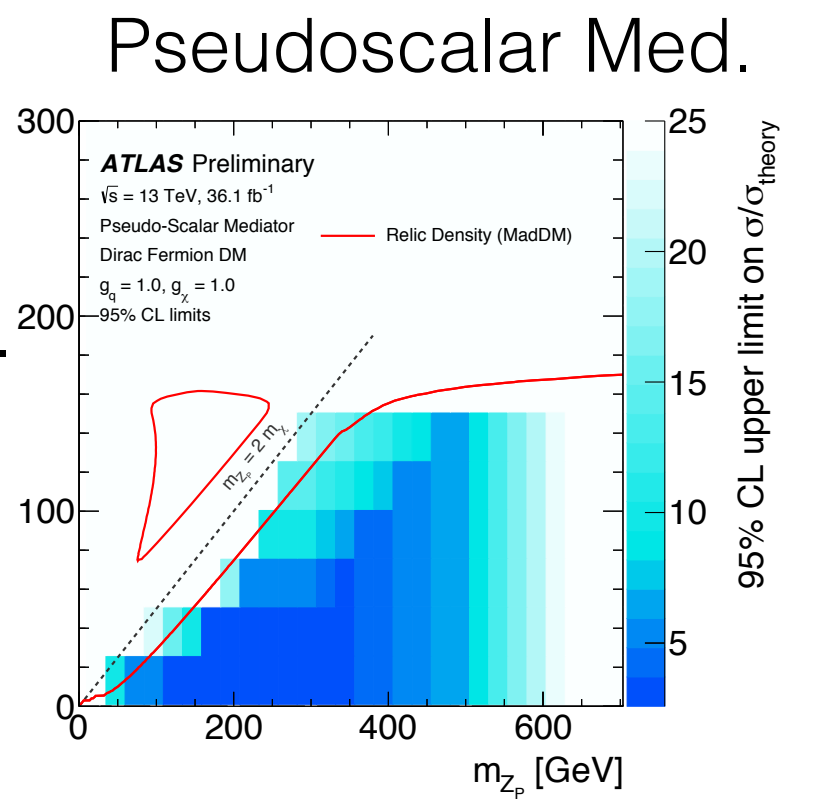
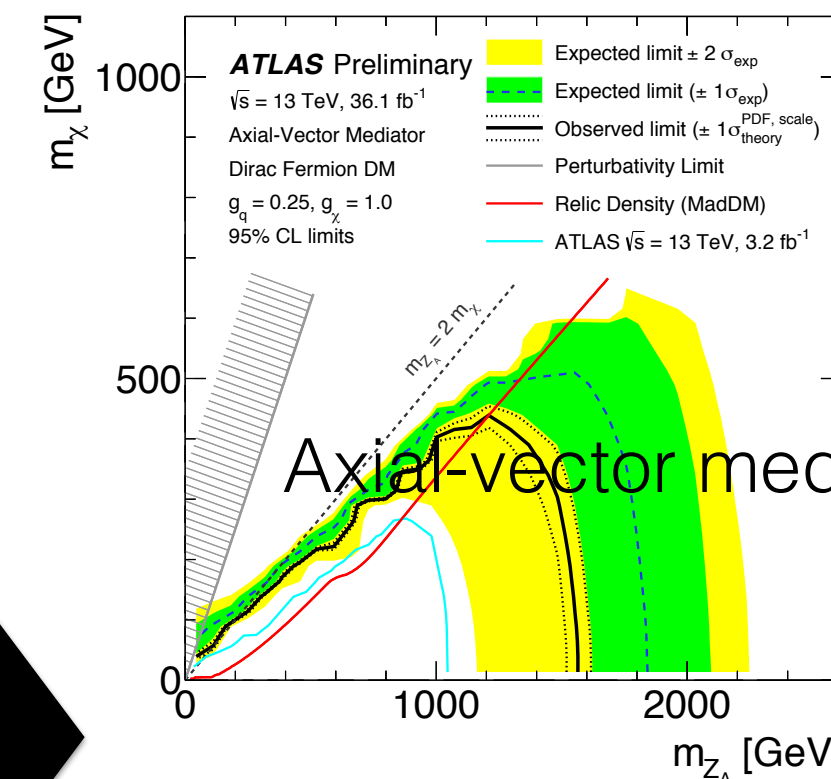
- EW corrections: -10(-20)% for  $m_{T2}=200-300 \text{ GeV}$  (1 TeV)
- important to include in the future to avoid fake signals!

# SM backgrounds in monojet / MET+X searches

we hope to see:



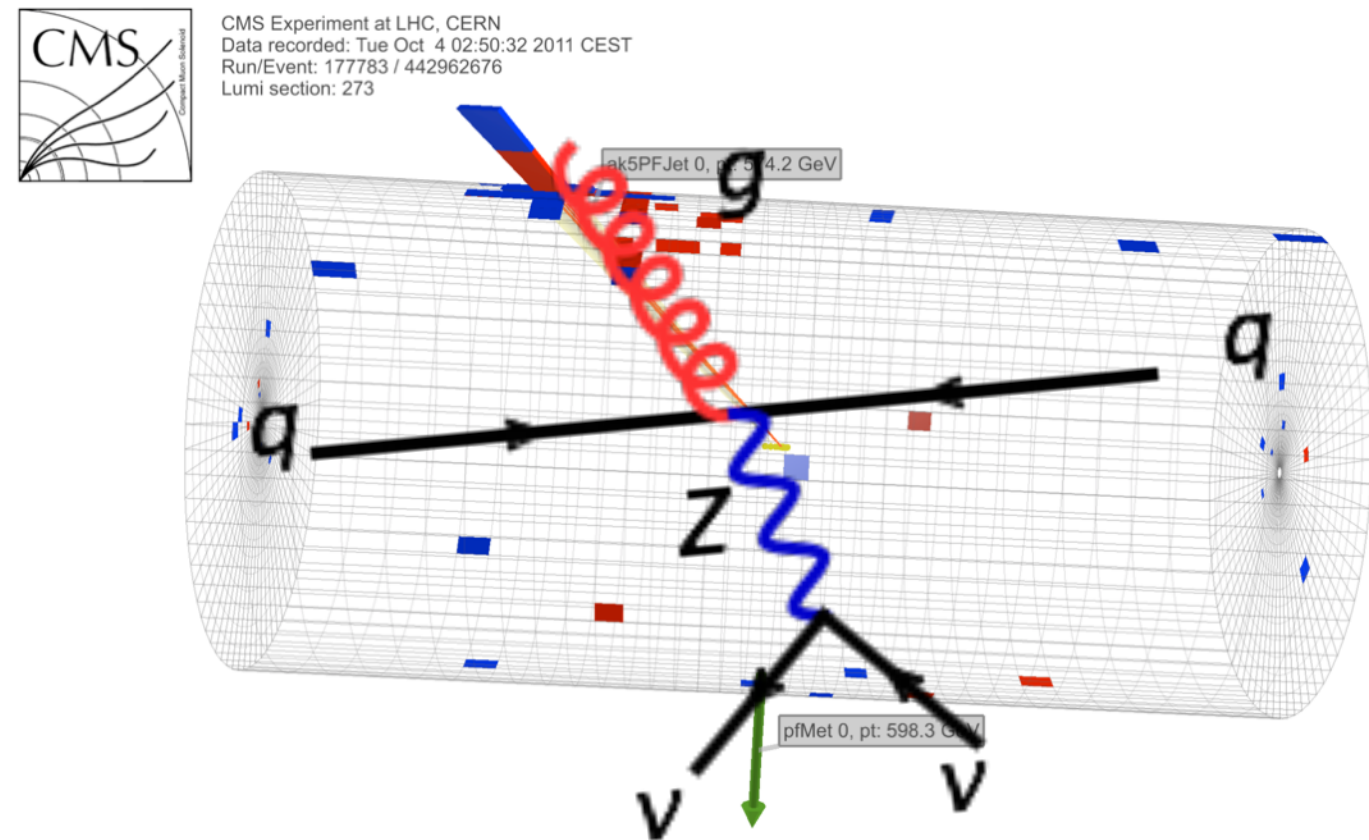
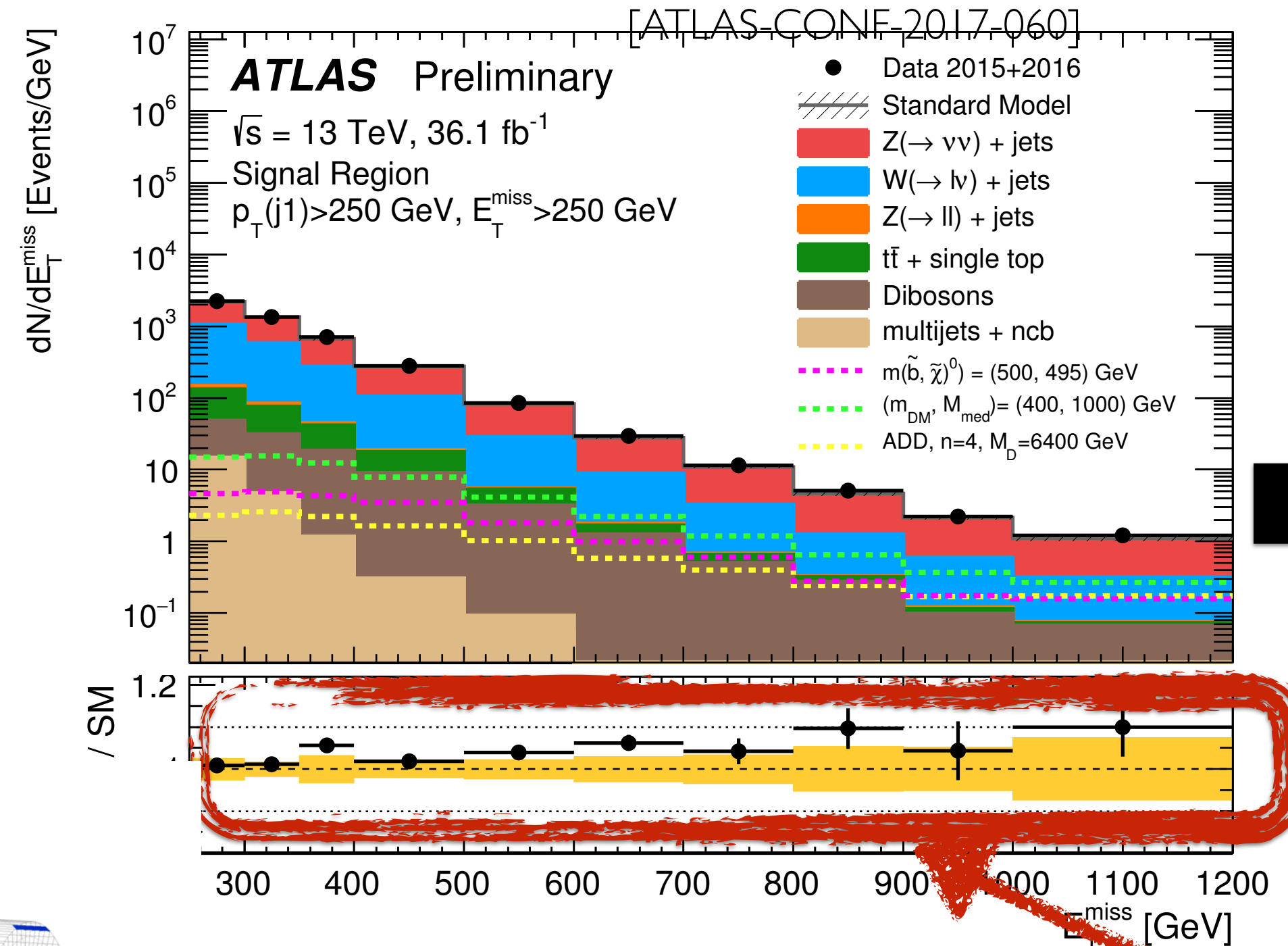
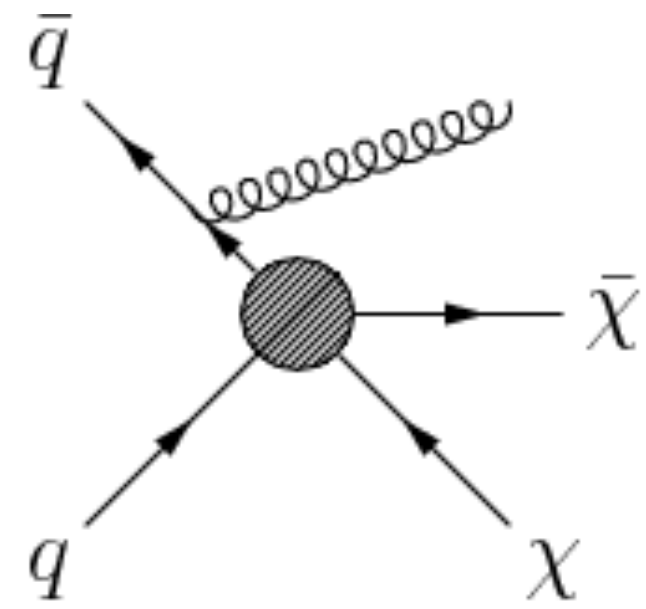
missing transverse energy



O(5-10%) error @ 1 TeV  
 "precision search"

# SM backgrounds in monojet / MET+X searches

we hope to see:



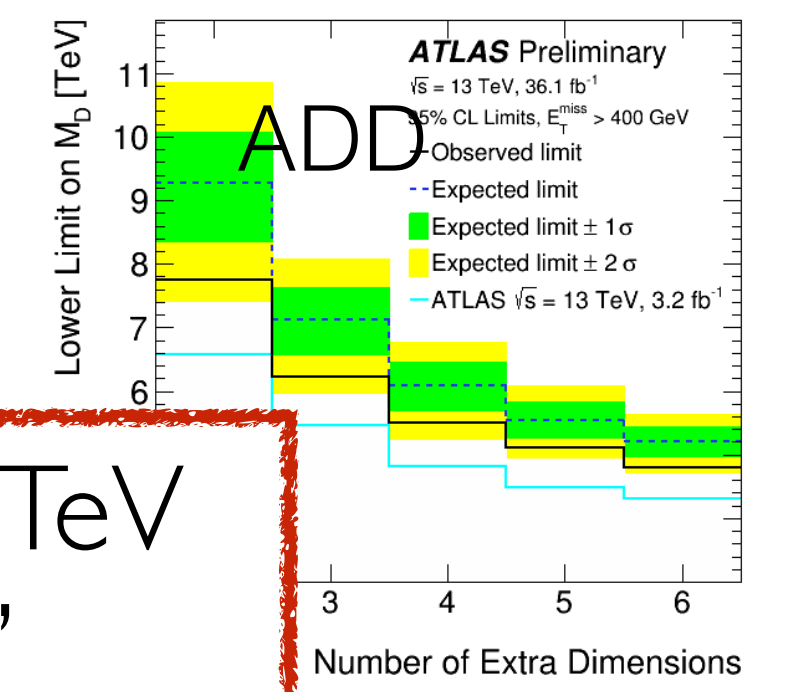
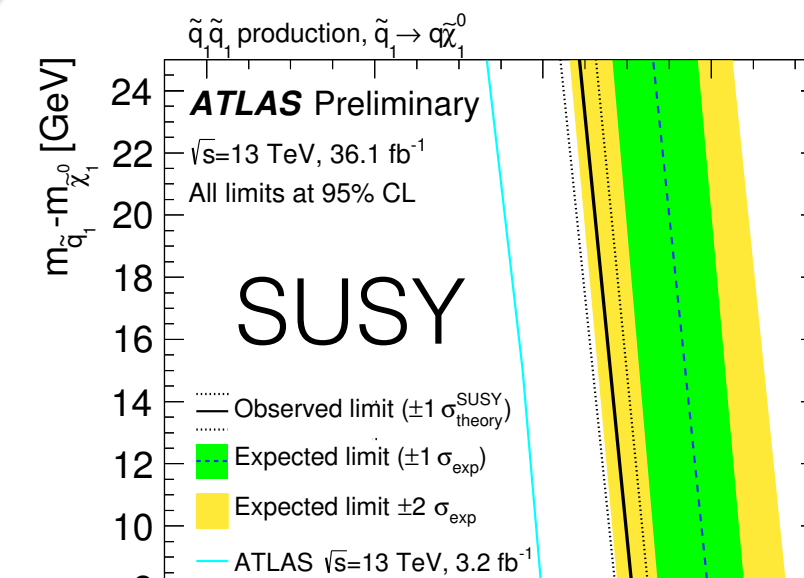
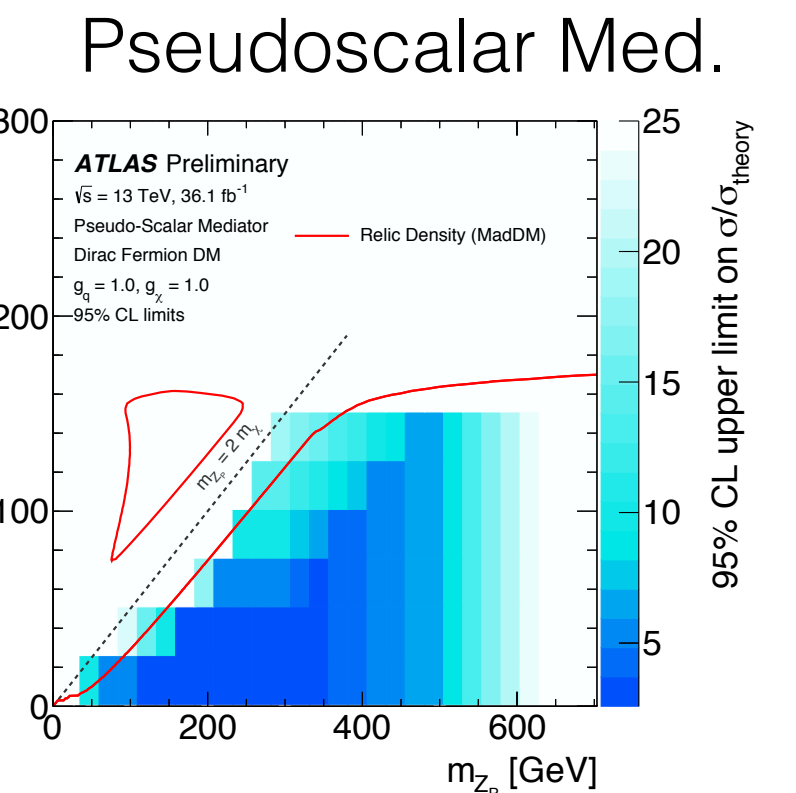
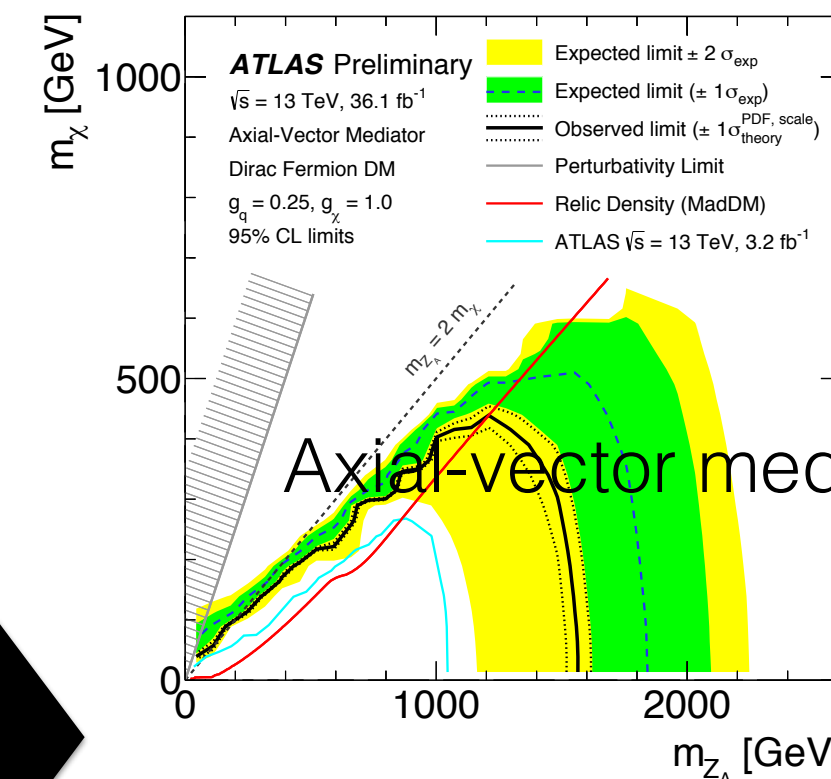
missing transverse energy

irreducible SM backgrounds:

$$pp \rightarrow Z(\rightarrow v\bar{v}) + \text{jets} \Rightarrow \text{MET} + \text{jets}$$

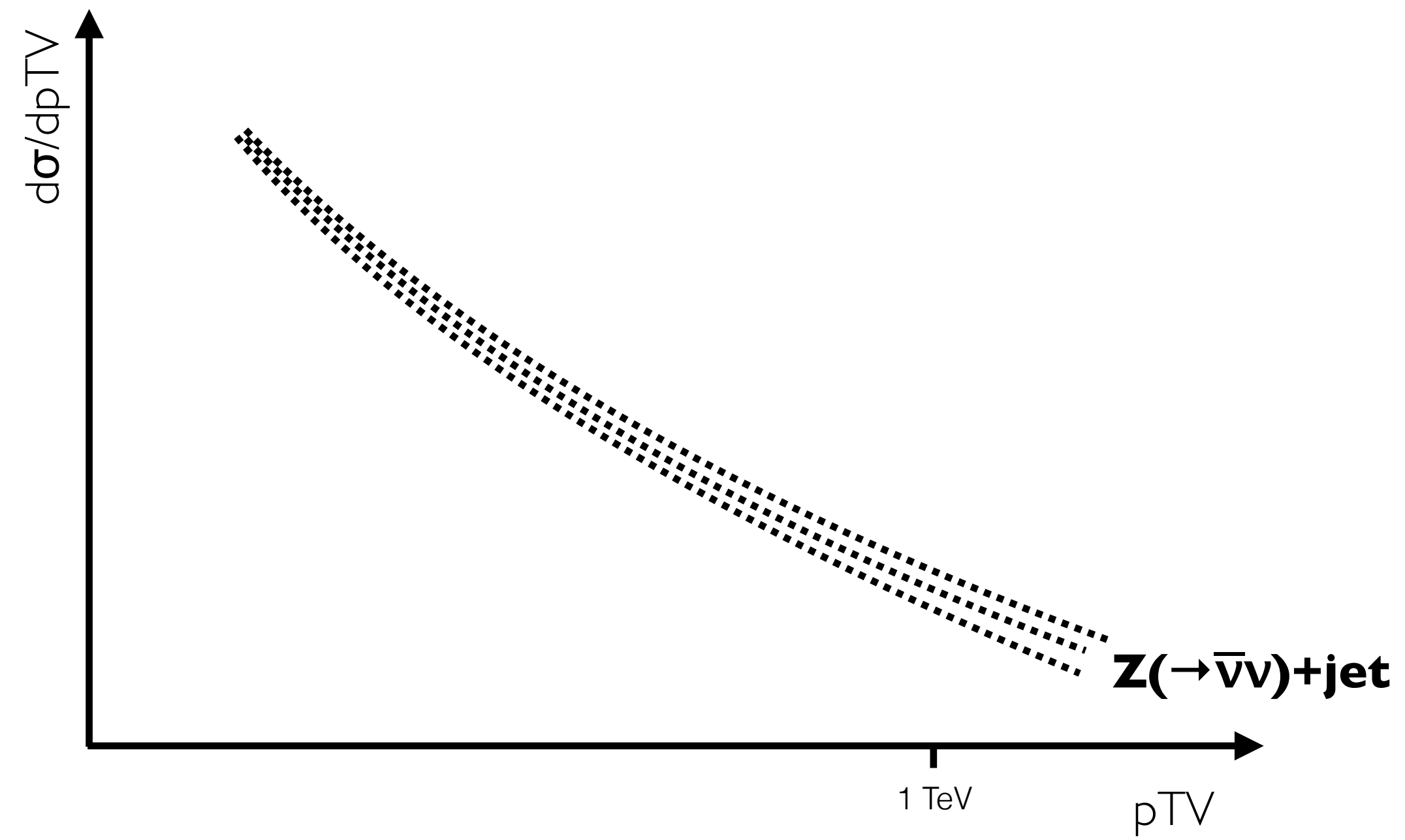
$$pp \rightarrow W(\rightarrow l\nu) + \text{jets} \Rightarrow \text{MET} + \text{jets (lepton lost)}$$

}  $V + \text{jets}$

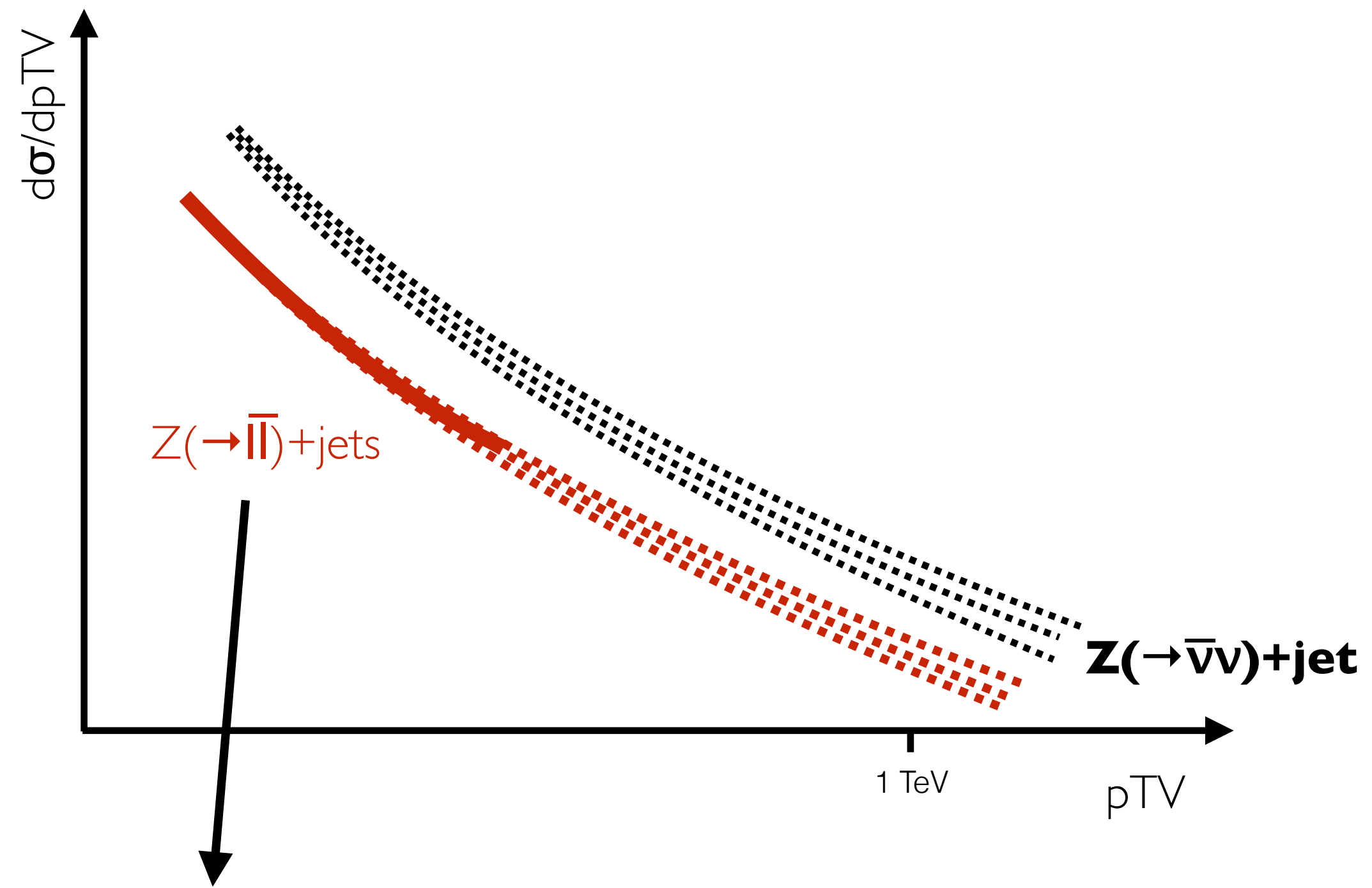


$O(5-10\%)$  error @ 1 TeV  
 "precision search"

# Determine V+jets DM backgrounds



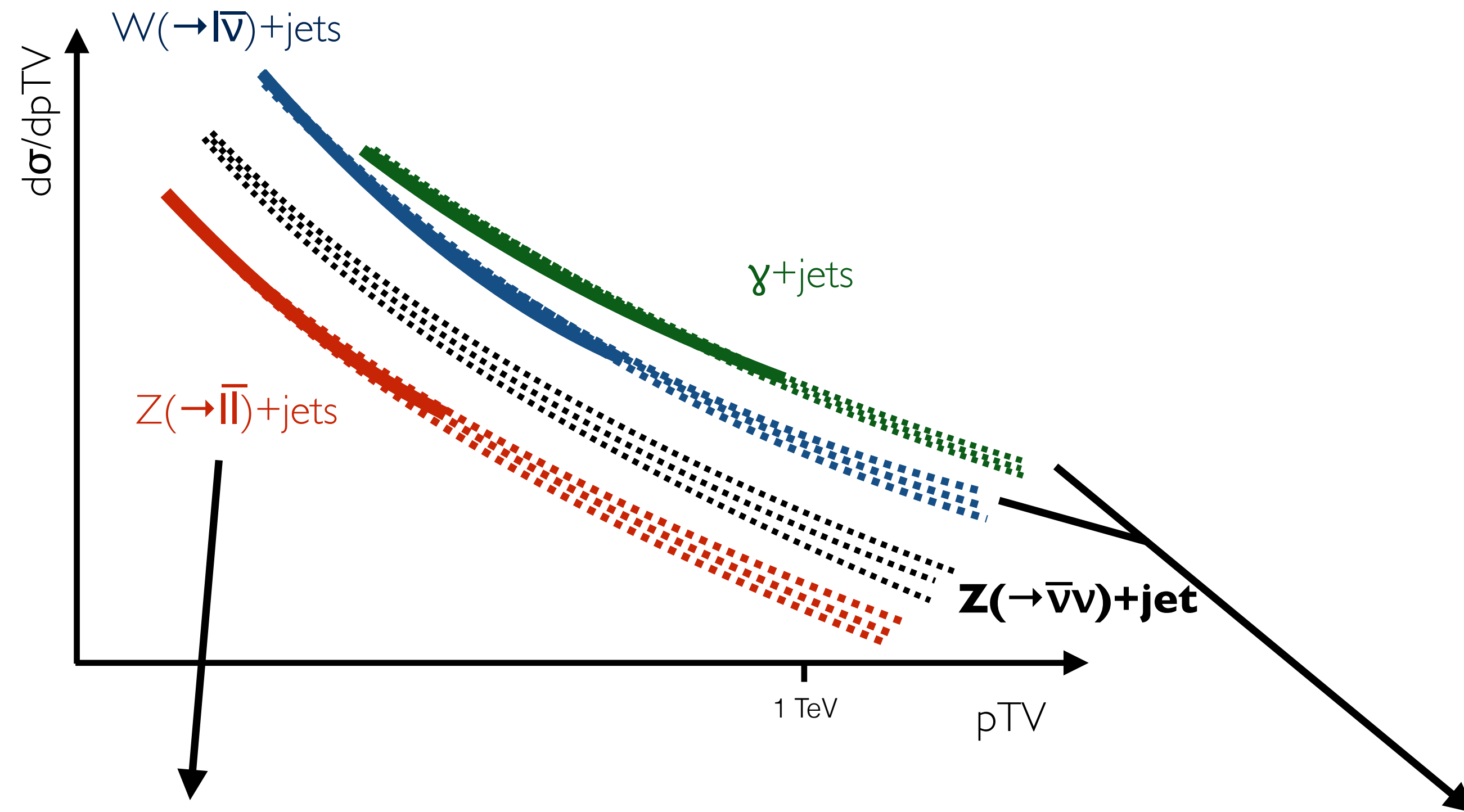
# Determine V+jets DM backgrounds



- hardly any systematics (just QED dressing)
- very precise at low  $p_T$
- but: limited statistics at large  $p_T$



# Determine V+jets DM backgrounds

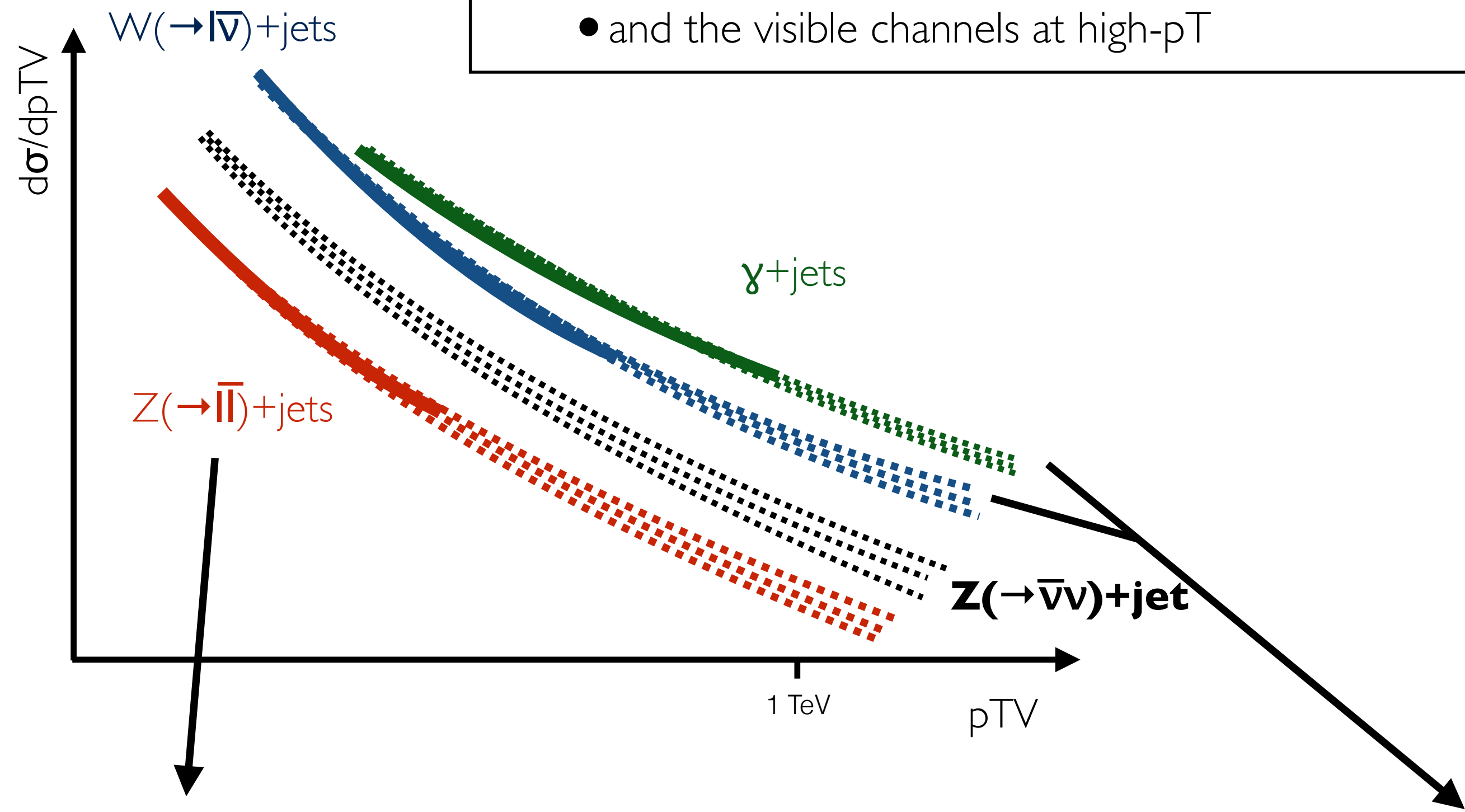


- hardly any systematics (just QED dressing)
- very precise at low  $p_T$
- but: limited statistics at large  $p_T$
- fairly large data samples at large  $p_T$
- systematics from transfer factors

# Determine V+jets DM backgrounds

“Normalization to control regions” via **global fit** of  
 $Z(\rightarrow \bar{l}l)+\text{jets}$ ,  $W(\rightarrow \bar{l}\nu)+\text{jets}$  and  $\gamma+\text{jets}$  measurements

- to determine  $Z(\rightarrow \bar{\nu}\nu)+\text{jet}$
- and the visible channels at high- $p_T$

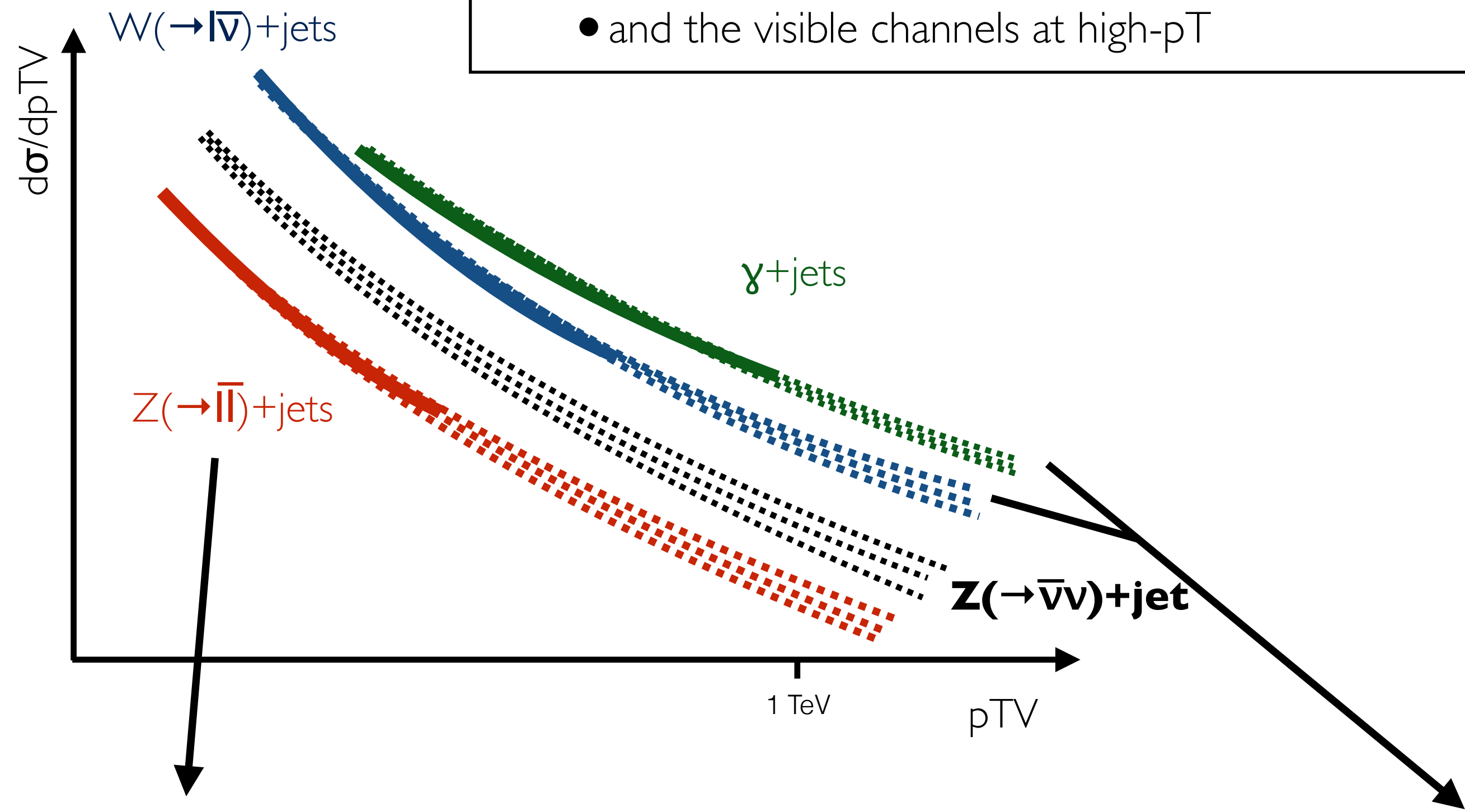


- hardly any systematics (just QED dressing)
- very precise at low  $p_T$
- but: limited statistics at large  $p_T$
- fairly large data samples at large  $p_T$
- systematics from transfer factors

# Determine V+jets DM backgrounds

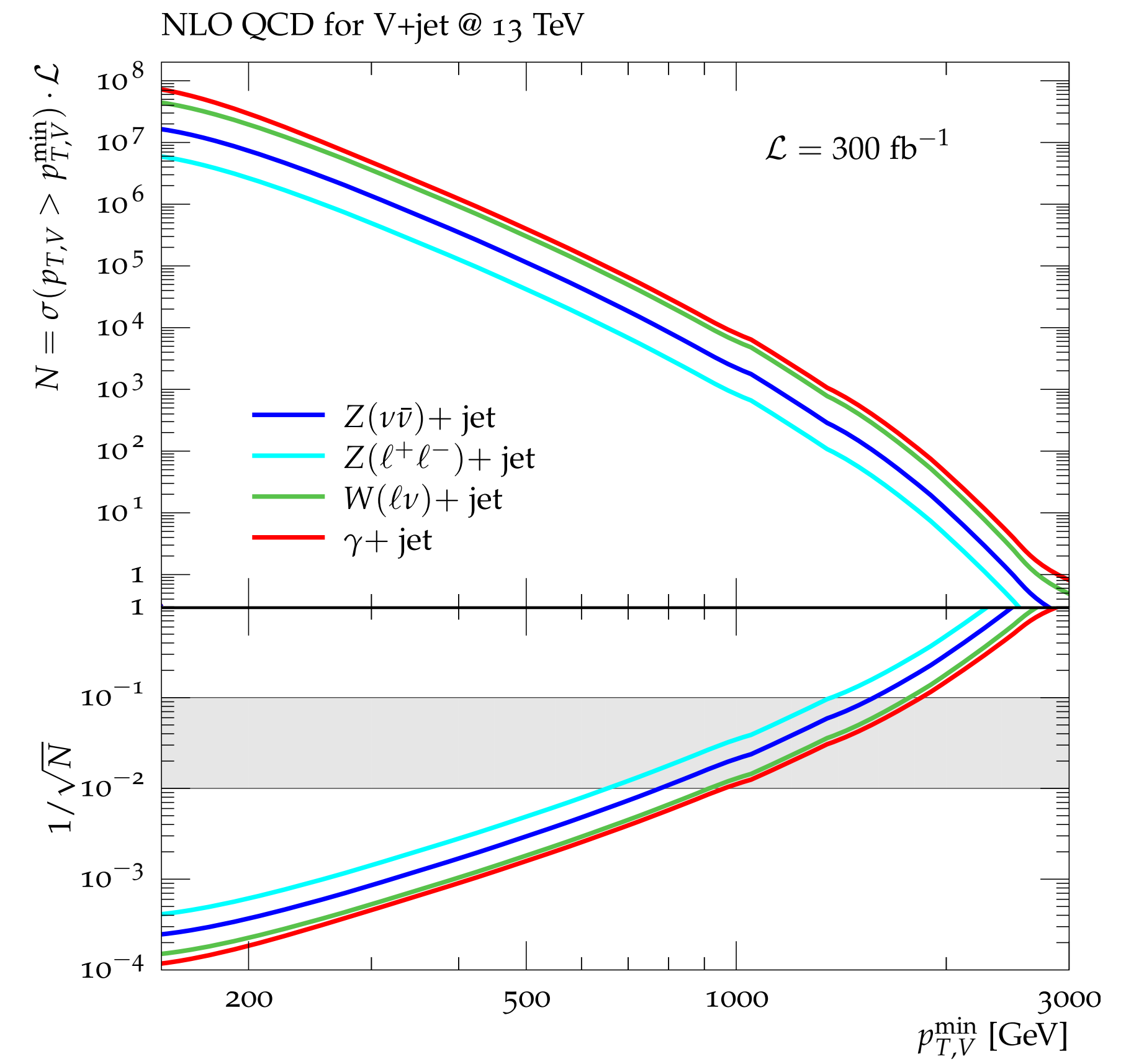
“Normalization to control regions” via **global fit** of  
 $Z(\rightarrow \bar{l}l)+\text{jets}$ ,  $W(\rightarrow \bar{l}V)+\text{jets}$  and  $\gamma+\text{jets}$  measurements

- to determine  $Z(\rightarrow \bar{\nu}\nu)+\text{jet}$
- and the visible channels at high- $p_T$



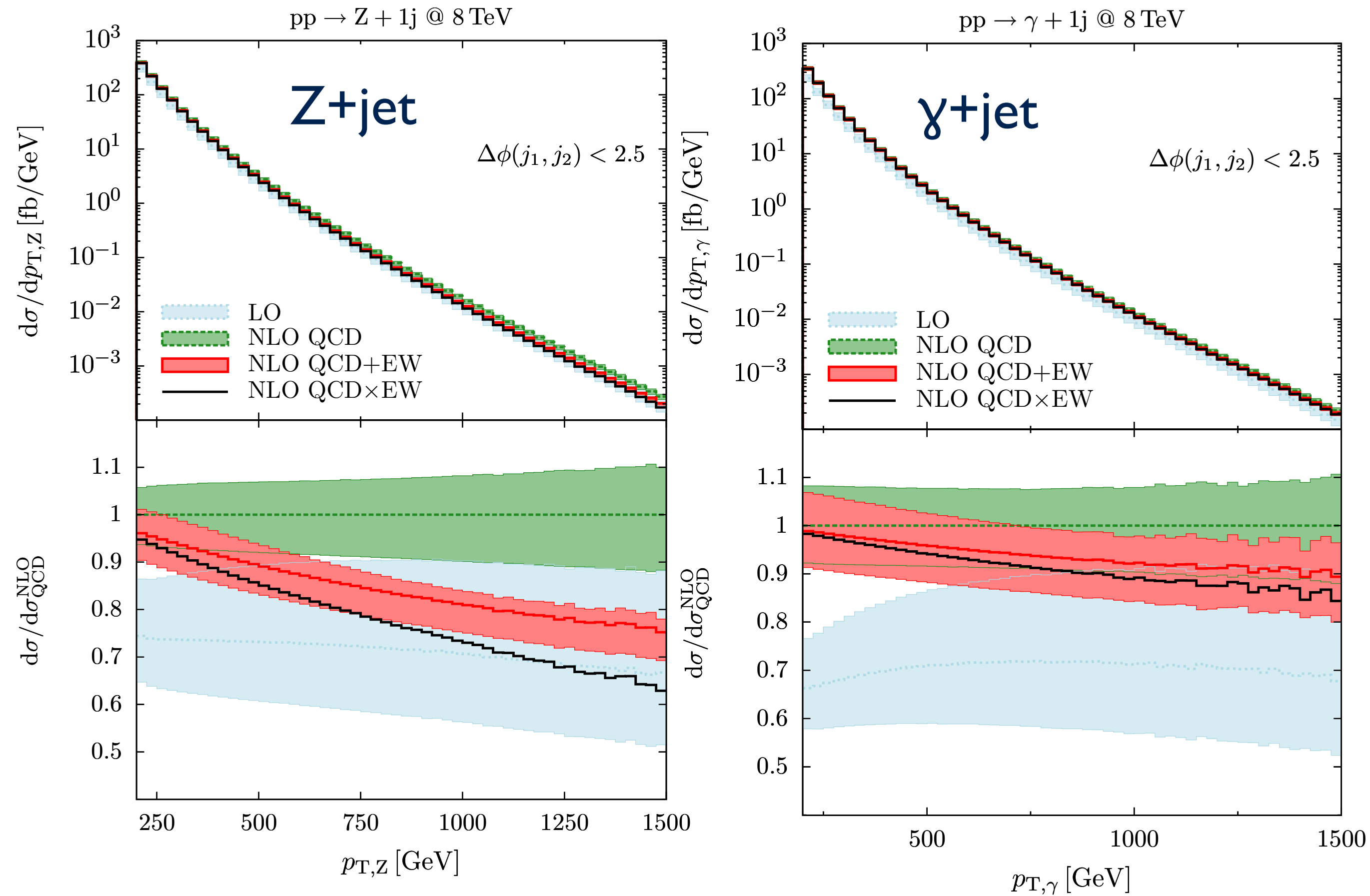
- hardly any systematics (just QED dressing)
- very precise at low  $p_T$
- but: limited statistics at large  $p_T$

- fairly large data samples at large  $p_T$
- systematics from transfer factors



- for  $500 \text{ GeV} < p_{TV} < 1000 \text{ GeV}$ : background statistics will be at **1% level**
- this level of precision is theoretically possible @ **NNLO QCD + NNLO EW**

# Prelude: Z+jet vs. $\gamma$ + 1 jet



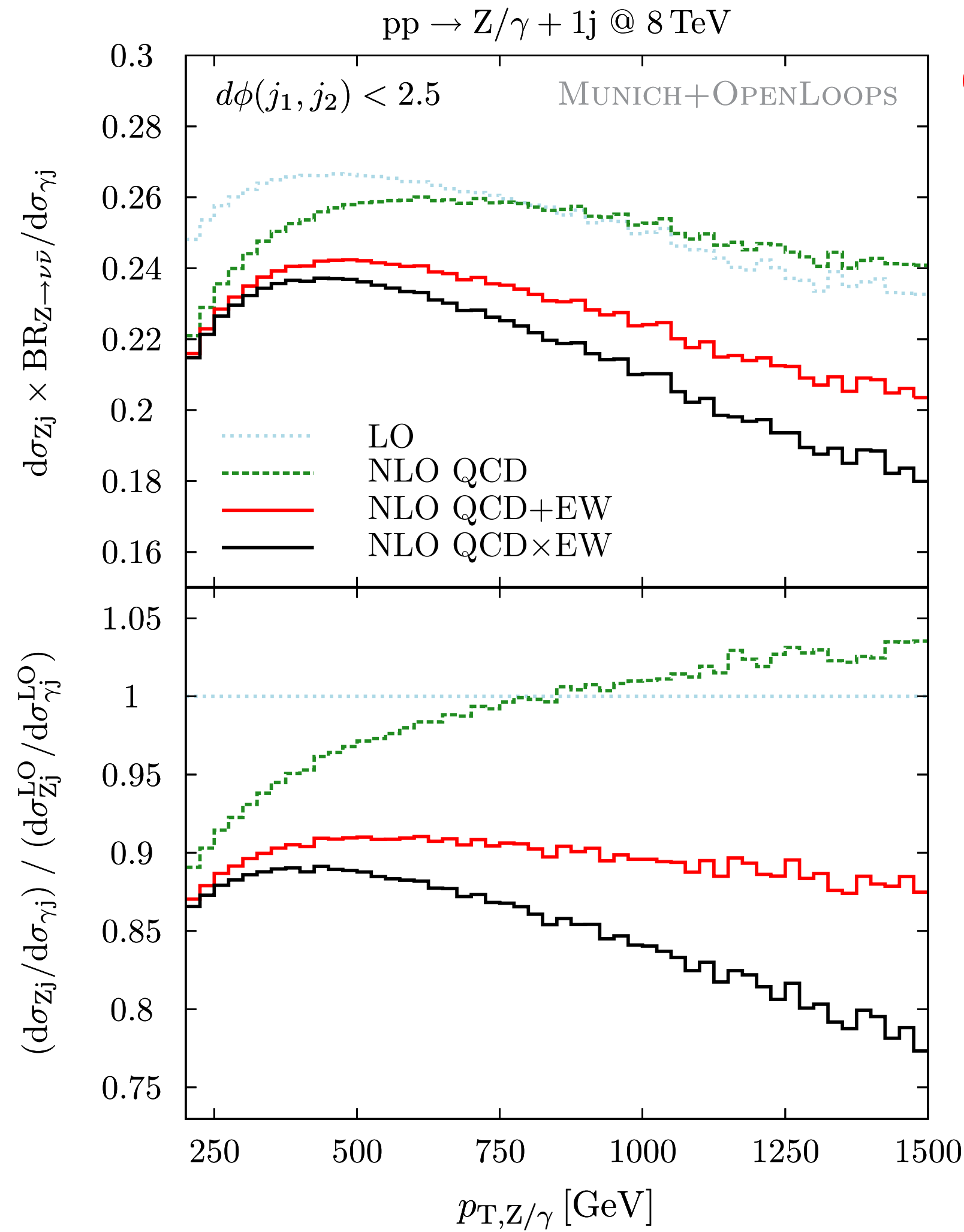
## QCD corrections

- ▶ mostly moderate and stable QCD corrections
- ▶ (almost) **identical QCD corrections in the tail**, sizeable differences for small  $p_T$

## EW corrections

- ▶ **correction in  $p_T(Z) >$  correction in  $p_T(\gamma)$**
- ▶ **-20/-8%** for Z/ $\gamma$  at 1 TeV
- ▶ EW corrections  $>$  QCD uncertainties for  $p_{T,Z} > 350$  GeV

# Prelude: Z/γ pT-ratio



## QCD corrections

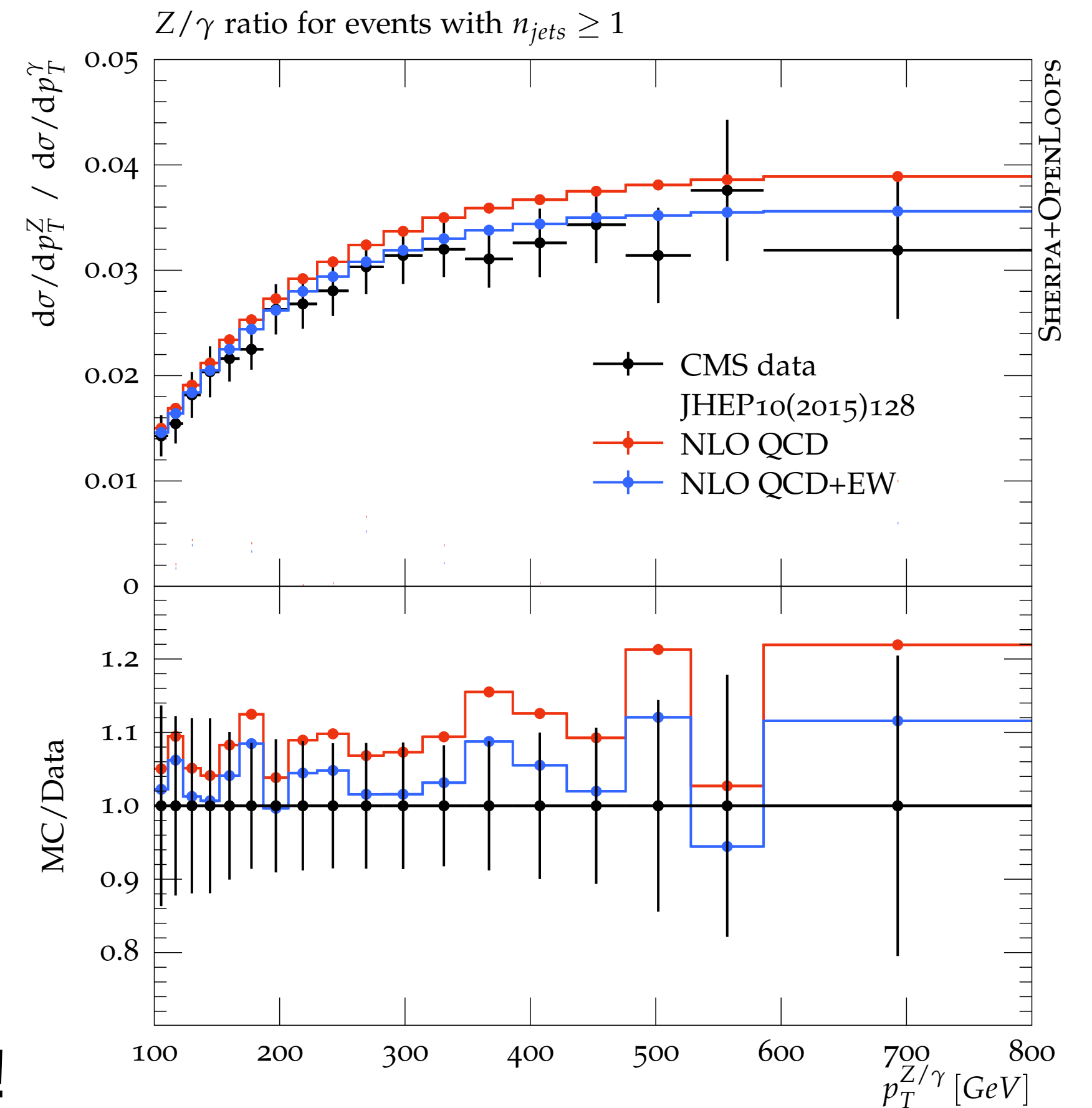
- ▶ 10-15% below 250 GeV
- ▶  $\approx 5\%$  above 350 GeV

## EW corrections

- ▶ sizeable difference in EW corrections results in 10-15% corrections at several hundred GeV

- ▶ remarkable agreement with data at @ NLO **QCD+EW**!

[Ciulli, Kallweit, JML, Pozzorini, Schönherr for **LesHouches'15**]



Uncertainty estimates  
at  
(N)NLO QCD + (n)NLO EW

how to correlate scale uncertainties in ratios?

how to estimate uncertainties due to missing higher-order EW?

how to combine higher-order QCD and EW correction?  
what is the related uncertainty?

# Precise predictions for V+jet DM backgrounds

work in collaboration with:

R. Boughezal, J.M. Campell, A. Denner, S. Dittmaier, A. Huss, A. Gehrmann-De Ridder, T. Gehrmann, N. Glover, S. Kallweit, M. L. Mangano, P. Maierhöfer, T.A. Morgan, A. Mück, M. Schönherr, F. Petriello, S. Pozzorini, G. P. Salam, C. Williams

- Combination of state-of-the-art predictions: (N)NLO QCD + (n)NLO EW in order to match (future) experimental sensitivities (1-10% accuracy in the few hundred GeV-TeV range)

$$\frac{d}{dx} \frac{d}{d\vec{y}} \sigma^{(V)}(\vec{\epsilon}_{\text{MC}}, \vec{\epsilon}_{\text{TH}}) := \frac{d}{dx} \frac{d}{d\vec{y}} \sigma_{\text{MC}}^{(V)}(\vec{\epsilon}_{\text{MC}}) \left[ \frac{\frac{d}{dx} \sigma_{\text{TH}}^{(V)}(\vec{\epsilon}_{\text{TH}})}{\frac{d}{dx} \sigma_{\text{MC}}^{(V)}(\vec{\epsilon}_{\text{MC}})} \right]$$

one-dimensional reweighting of MC samples in  $x = p_{\text{T}}^{(V)}$

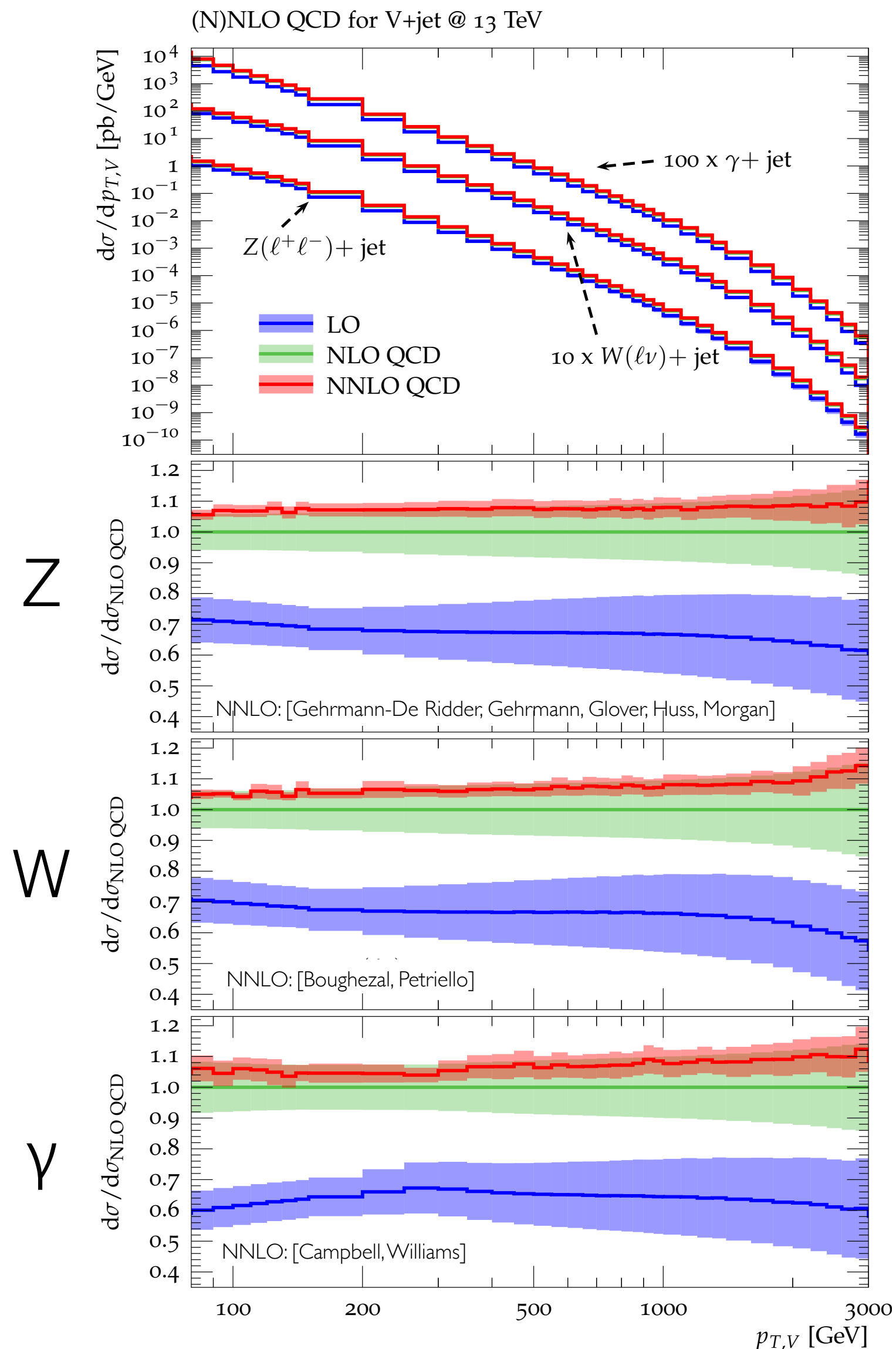
$$\text{with } \frac{d}{dx} \sigma_{\text{TH}}^{(V)} = \frac{d}{dx} \sigma_{\text{QCD}}^{(V)} + \frac{d}{dx} \sigma_{\text{mix}}^{(V)} + \frac{d}{dx} \Delta \sigma_{\text{EW}}^{(V)} + \frac{d}{dx} \sigma_{\gamma\text{-ind.}}^{(V)}$$

Note: analysis cuts can be considerable different from reweighting setup

- Robust uncertainty estimates including
  1. Pure QCD uncertainties
  2. Pure EW uncertainties
  3. Mixed QCD-EW uncertainties
  4. PDF,  $\gamma$ -induced uncertainties
- Prescription for **correlation** of these uncertainties
  - ▶ within a process (between low-pT and high-pT)
  - ▶ across processes

# Pure QCD uncertainties

[JML et. al.: 1705.04664]



$$\frac{d}{dx} \sigma_{\text{QCD}}^{(V)} = \frac{d}{dx} \sigma_{\text{LO QCD}}^{(V)} + \frac{d}{dx} \sigma_{\text{NLO QCD}}^{(V)} + \frac{d}{dx} \sigma_{\text{NNLO QCD}}^{(V)}$$

$$\mu_0 = \frac{1}{2} \left( \sqrt{p_{T,\ell+\ell^-}^2 + m_{\ell+\ell^-}^2} + \sum_{i \in \{q,g,\gamma\}} |p_{T,i}| \right)$$

this is a 'good' scale for V+jets

- at large  $p_{TV}$ :  $HT'/2 \approx p_{TV}$
- modest higher-order corrections
- sufficient convergence

scale uncertainties due to 7-pt variations:

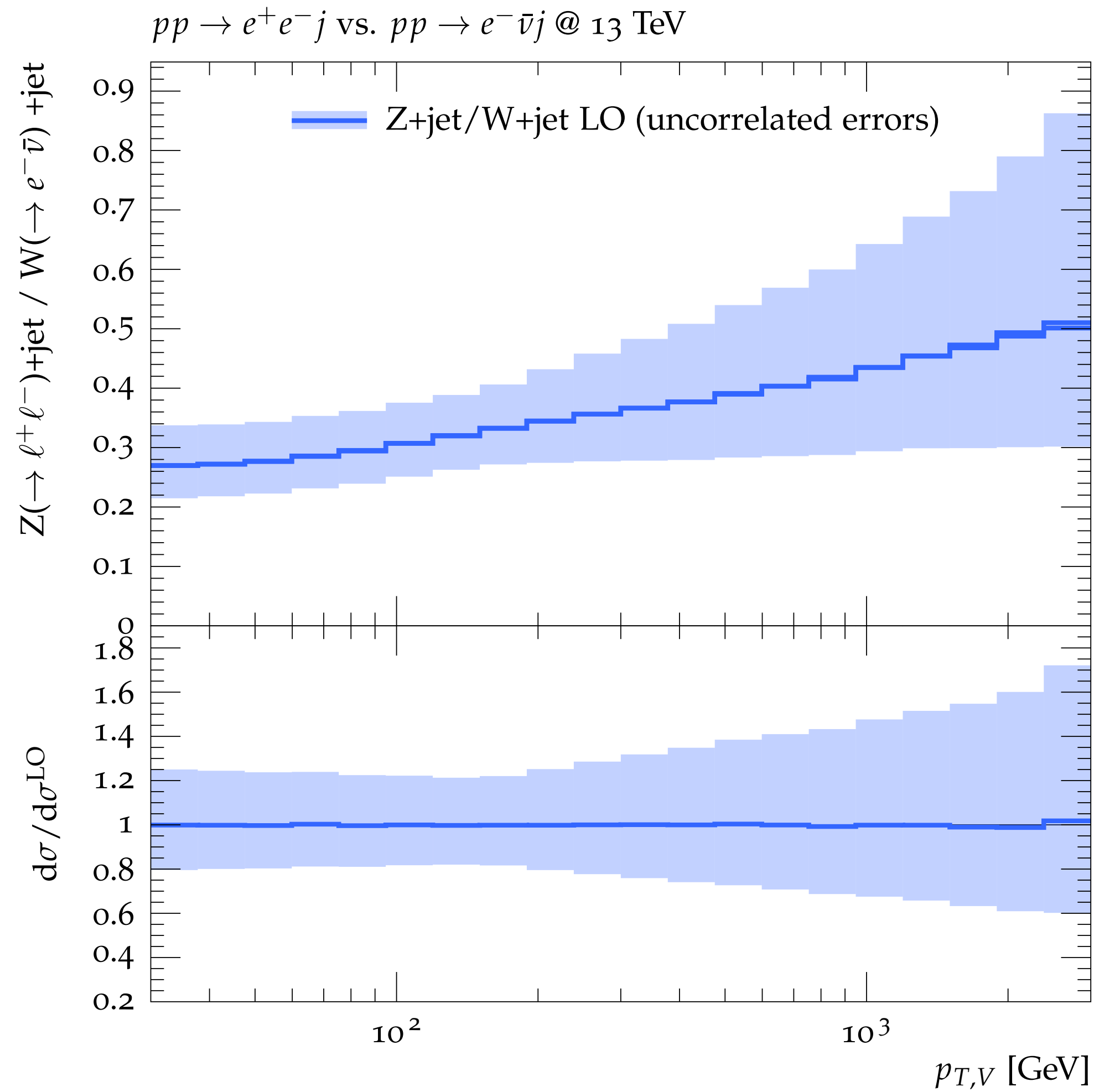
- (20%) uncertainties at LO
- (10%) uncertainties at NLO
- (5%) uncertainties at NNLO

with minor shape variations

How to correlate these uncertainties across processes?



# How to correlate QCD uncertainties across processes?



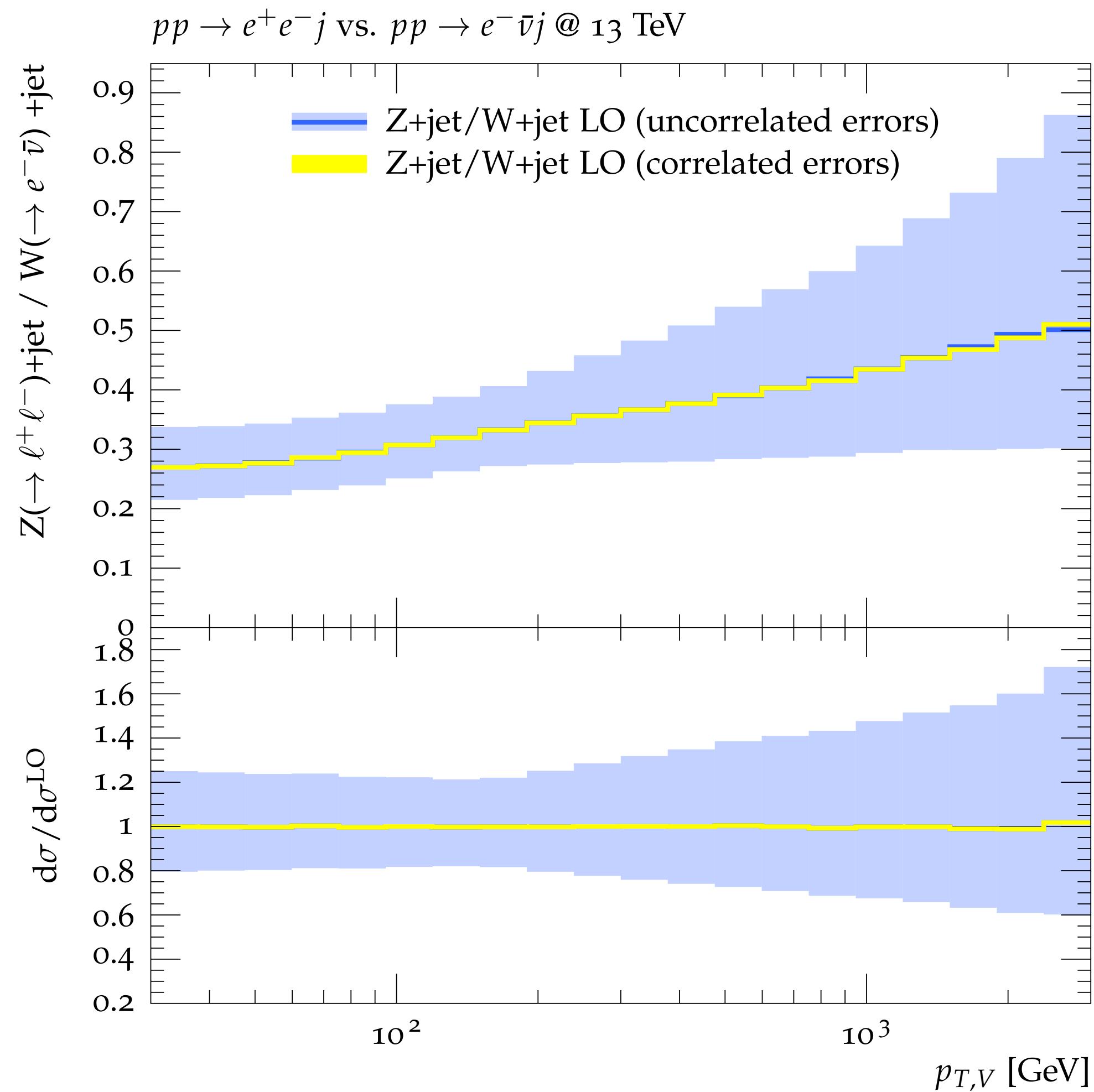
consider Z+jet / W+jet  $p_{T,V}$ -ratio @ LO

uncorrelated treatment yields

O(40%) uncertainties

# How to correlate QCD uncertainties across processes?

[1705.04664]



consider Z+jet / W+jet  $p_{T,V}$ -ratio @ LO

uncorrelated treatment yields

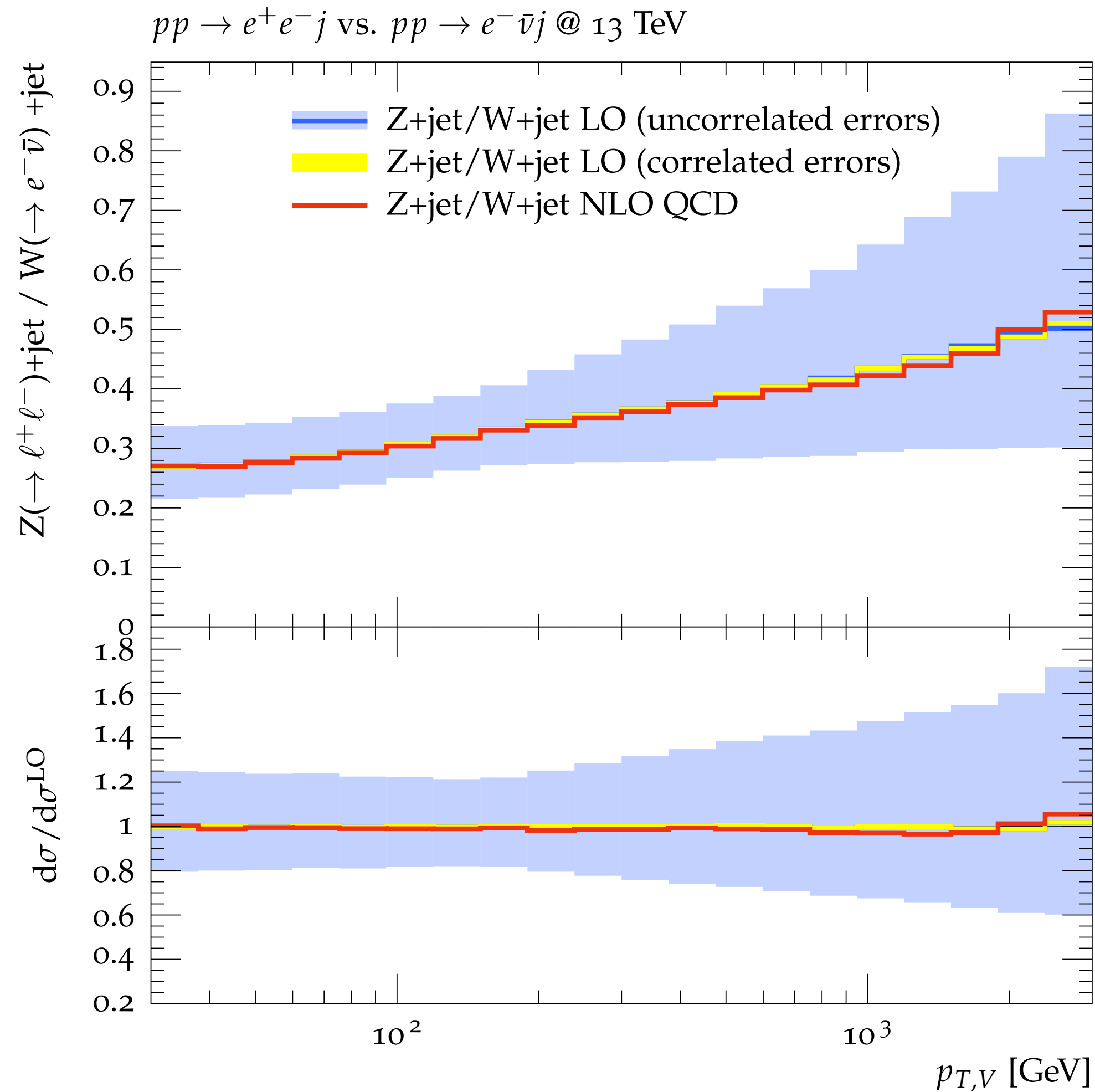
$\mathcal{O}(40\%)$  uncertainties

correlated treatment yields tiny

$\mathcal{O}(<\sim 1\%)$  uncertainties

# How to correlate QCD uncertainties across processes?

[1705.04664]



consider Z+jet / W+jet  $p_{T,V}$ -ratio @ LO

uncorrelated treatment yields

$\mathcal{O}(40\%)$  uncertainties

correlated treatment yields tiny

$\mathcal{O}(<\sim 1\%)$  uncertainties

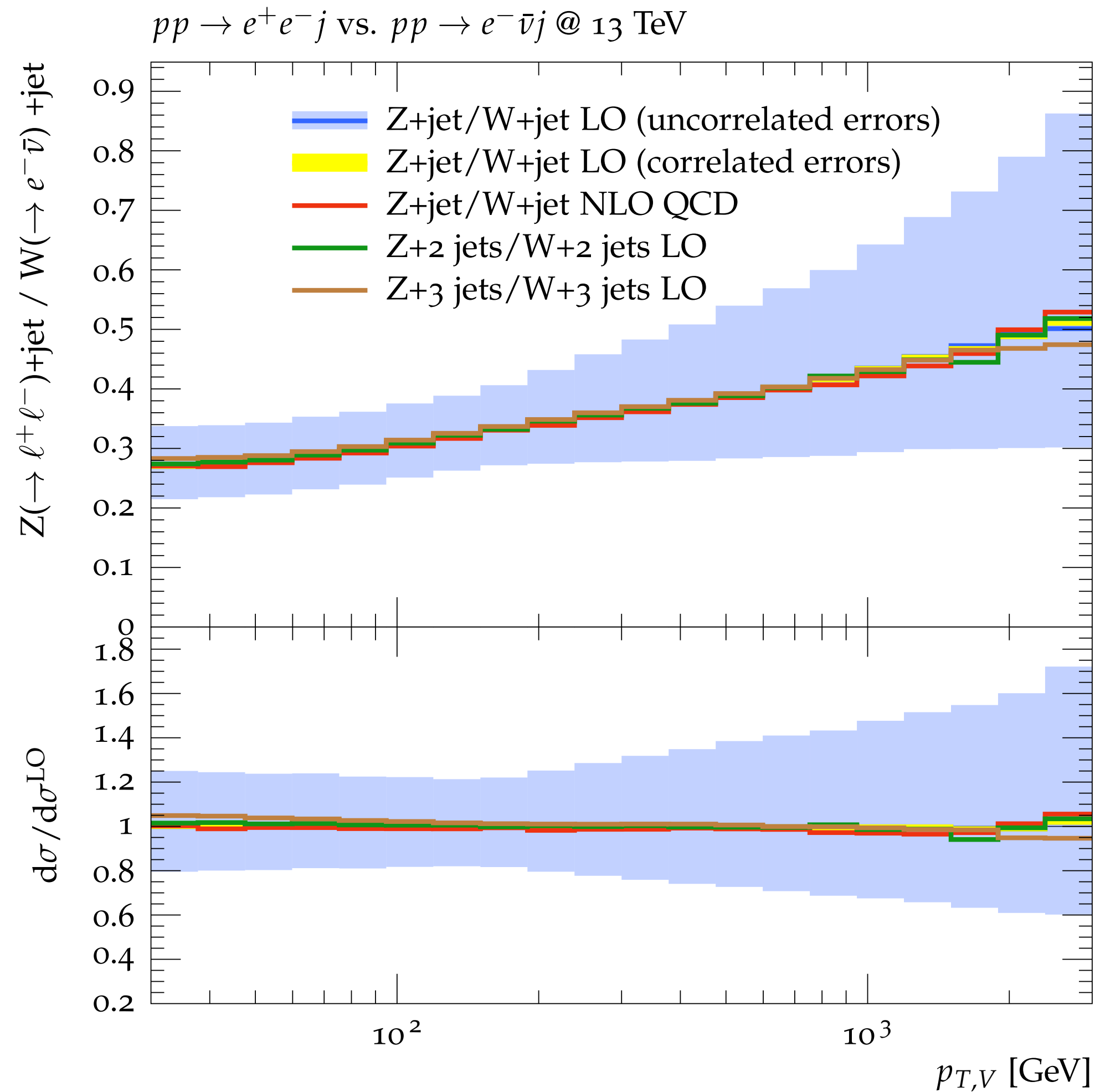
check against NLO QCD!

NLO QCD corrections remarkably flat in Z+jet / W+jet ratio!

→ supports correlated treatment of uncertainties!

# How to correlate QCD uncertainties across processes?

[1705.04664]



consider Z+jet / W+jet  $p_{T,V}$ -ratio @ LO

uncorrelated treatment yields

$O(40\%)$  uncertainties

correlated treatment yields tiny

$O(<\sim 1\%)$  uncertainties

check against NLO QCD!

NLO QCD corrections remarkably flat in Z+jet / W+jet ratio!

→ supports correlated treatment of uncertainties!

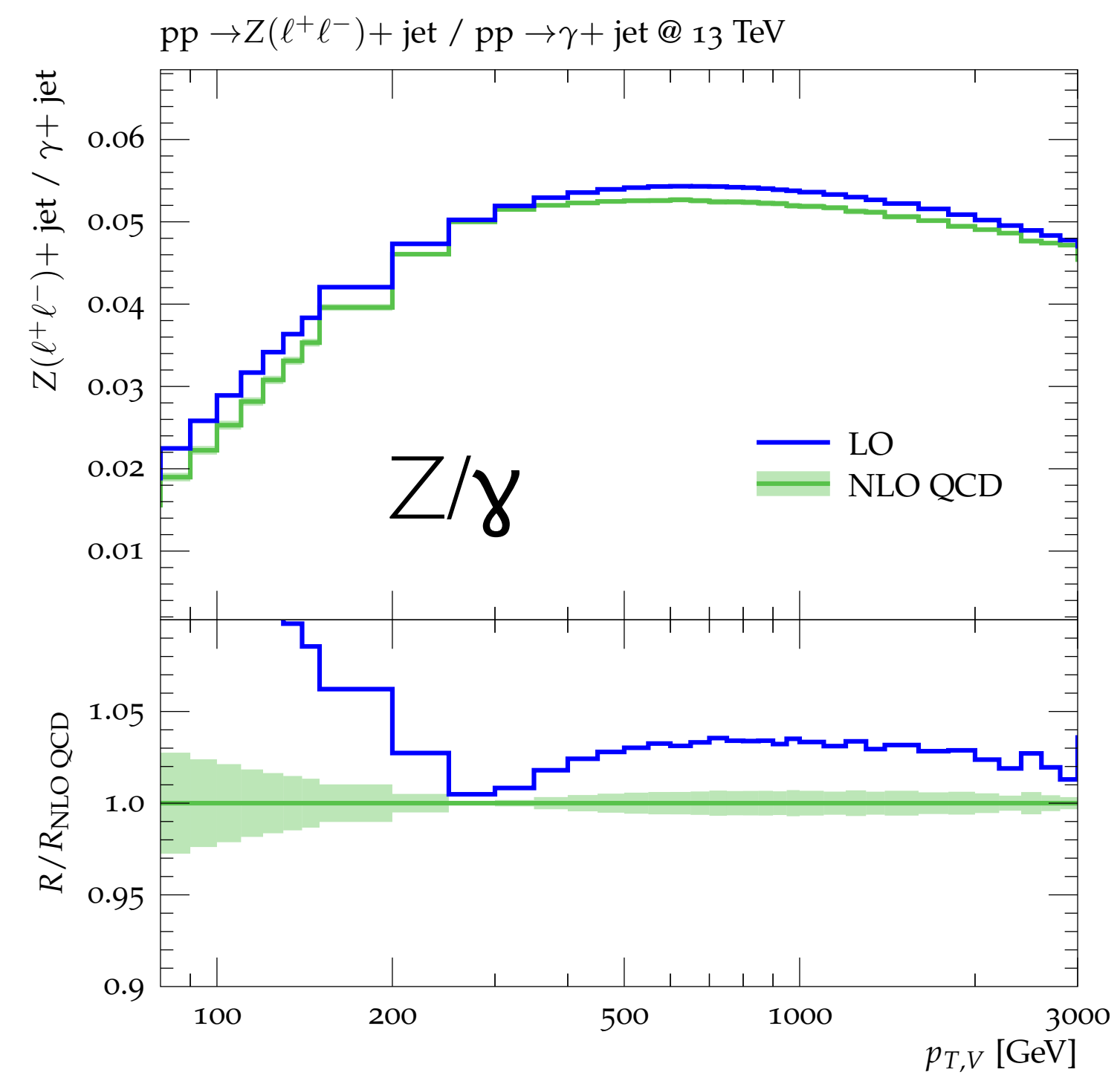
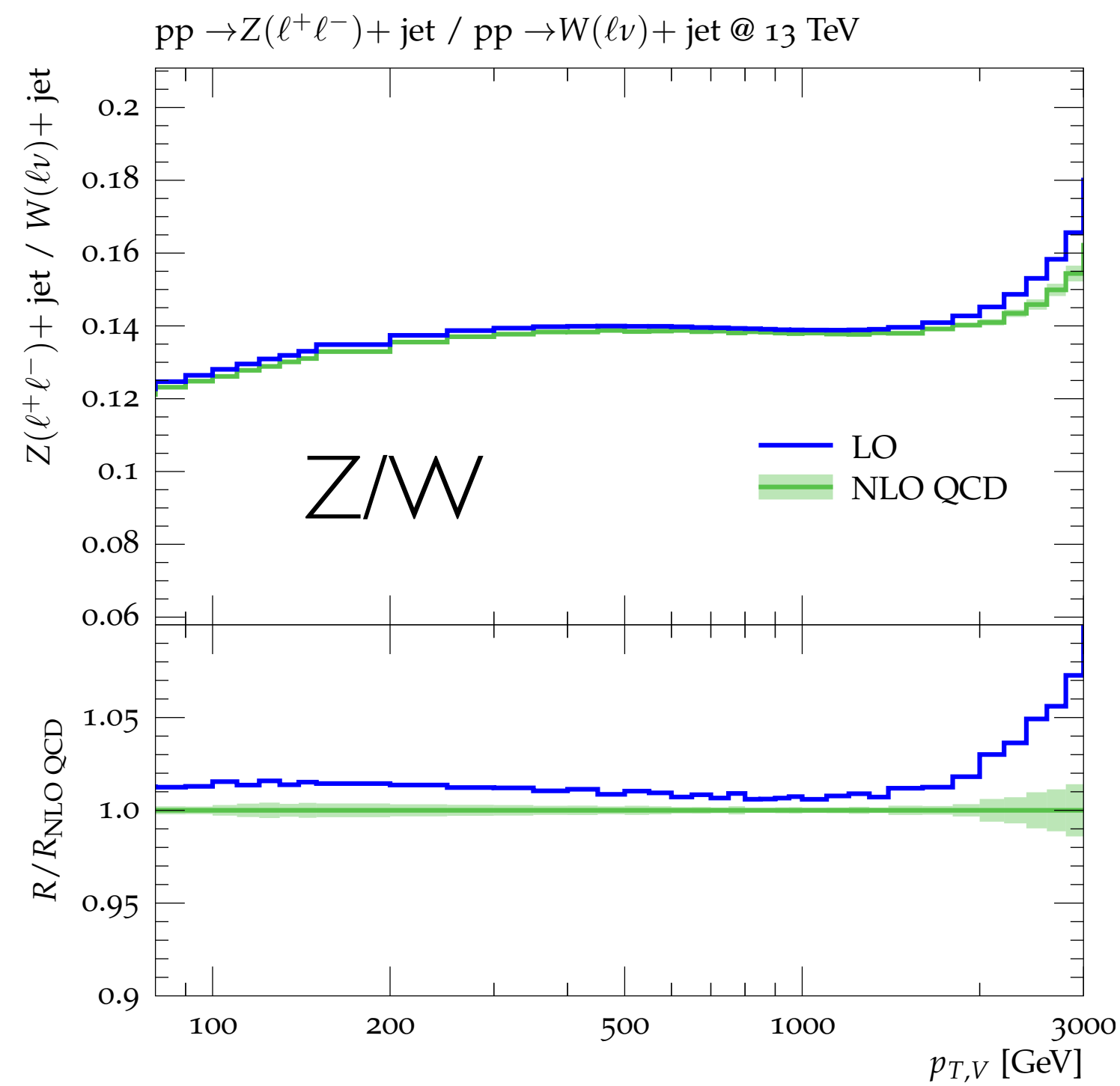
Also holds for higher jet-multiplicities

→ indication of correlation also in higher-order corrections beyond NLO!

# QCD uncertainties: ratios

How to correlate these uncertainties across processes?

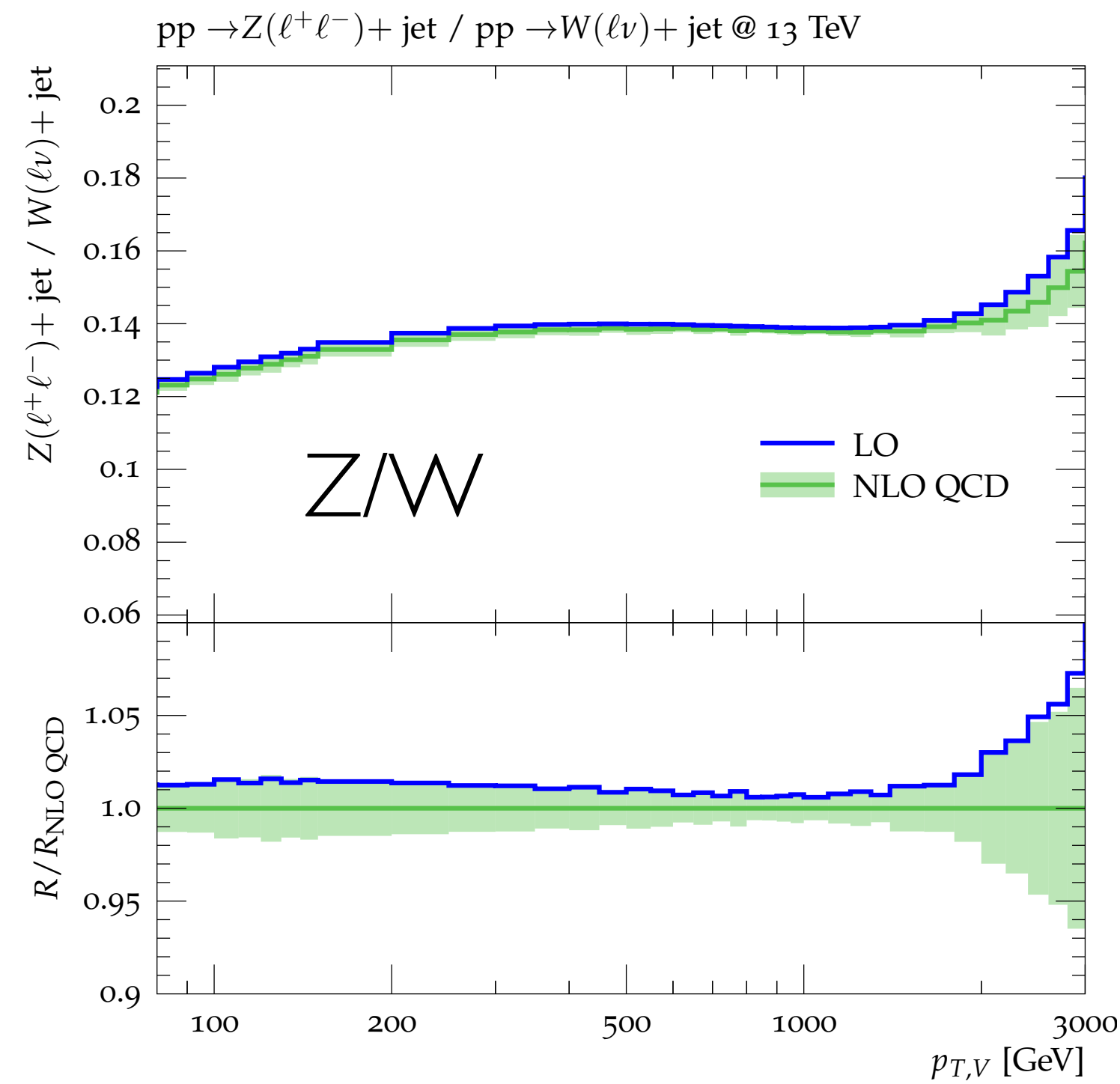
- take scale uncertainties as fully correlated:  
NLO QCD uncertainties cancel at the  $< \sim 1$  % level



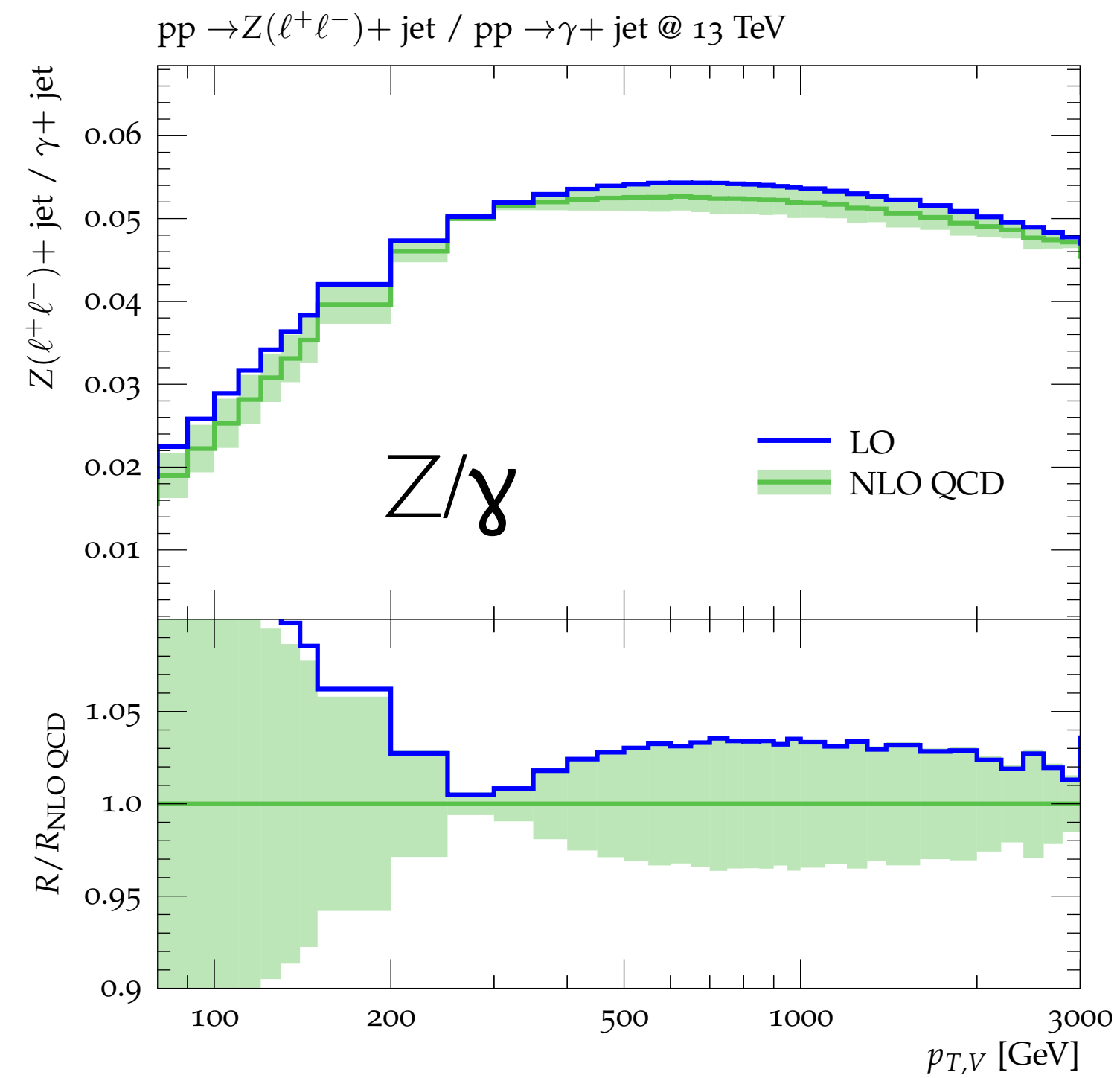
# QCD uncertainties: ratios

## How to correlate these uncertainties across processes?

- take scale uncertainties as fully correlated:  
NLO QCD uncertainties cancel at the  $< \sim 1\%$  level
- introduce **process correlation uncertainty** based on K-factor difference:  $\delta K_{\text{NLO}} = K_{\text{NLO}}^V - K_{\text{NLO}}^Z$   
→ effectively degrades precision of last calculated order



$\delta < 2\%$

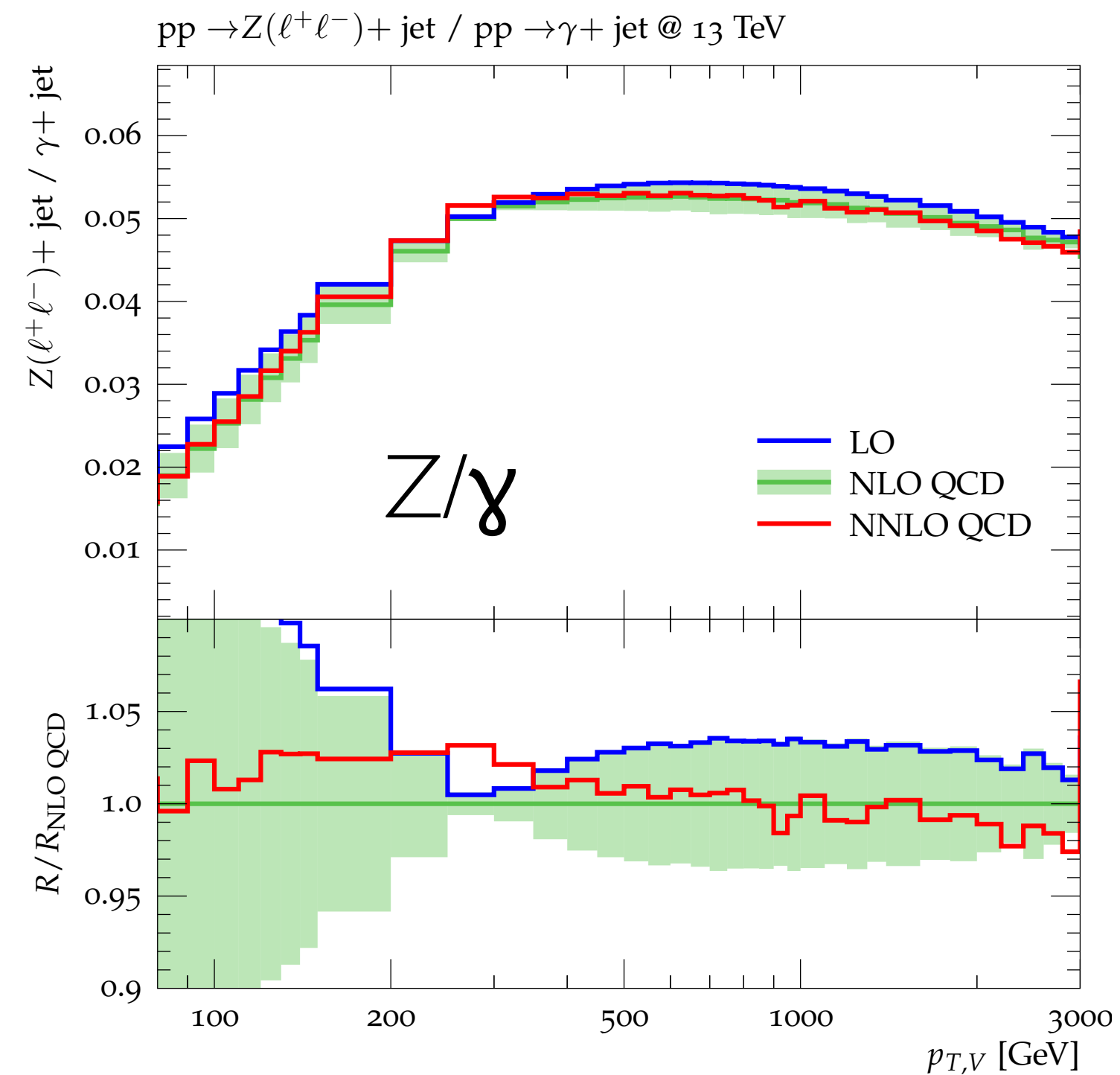
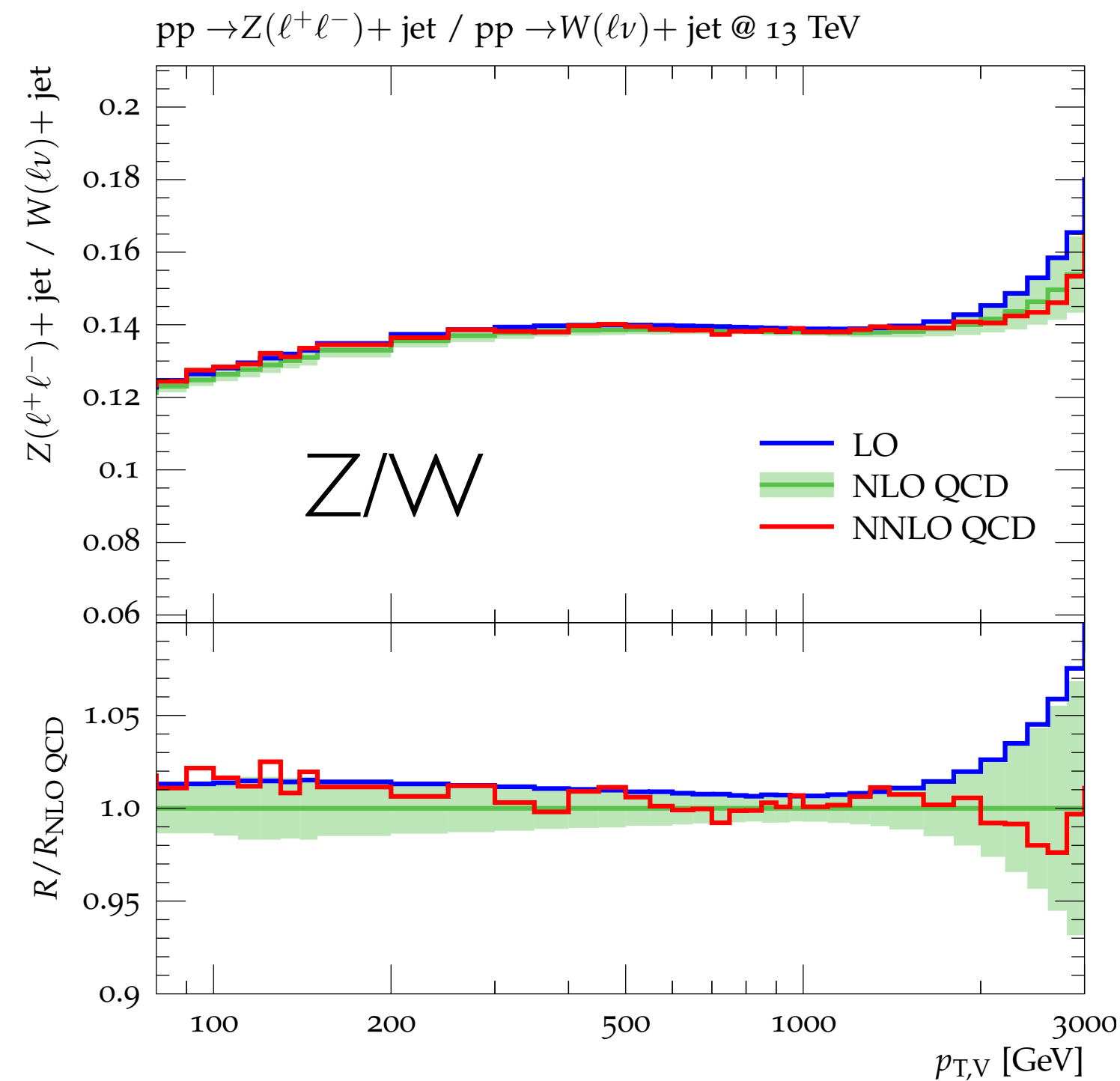


$\delta < 3-4\%$

# QCD uncertainties: ratios

## How to correlate these uncertainties across processes?

- take scale uncertainties as fully correlated:  
NLO QCD uncertainties cancel at the  $< \sim 1\%$  level
- introduce **process correlation uncertainty** based on K-factor difference:  $\delta K_{\text{NLO}} = K_{\text{NLO}}^V - K_{\text{NLO}}^Z$   
→ effectively degrades precision of last calculated order

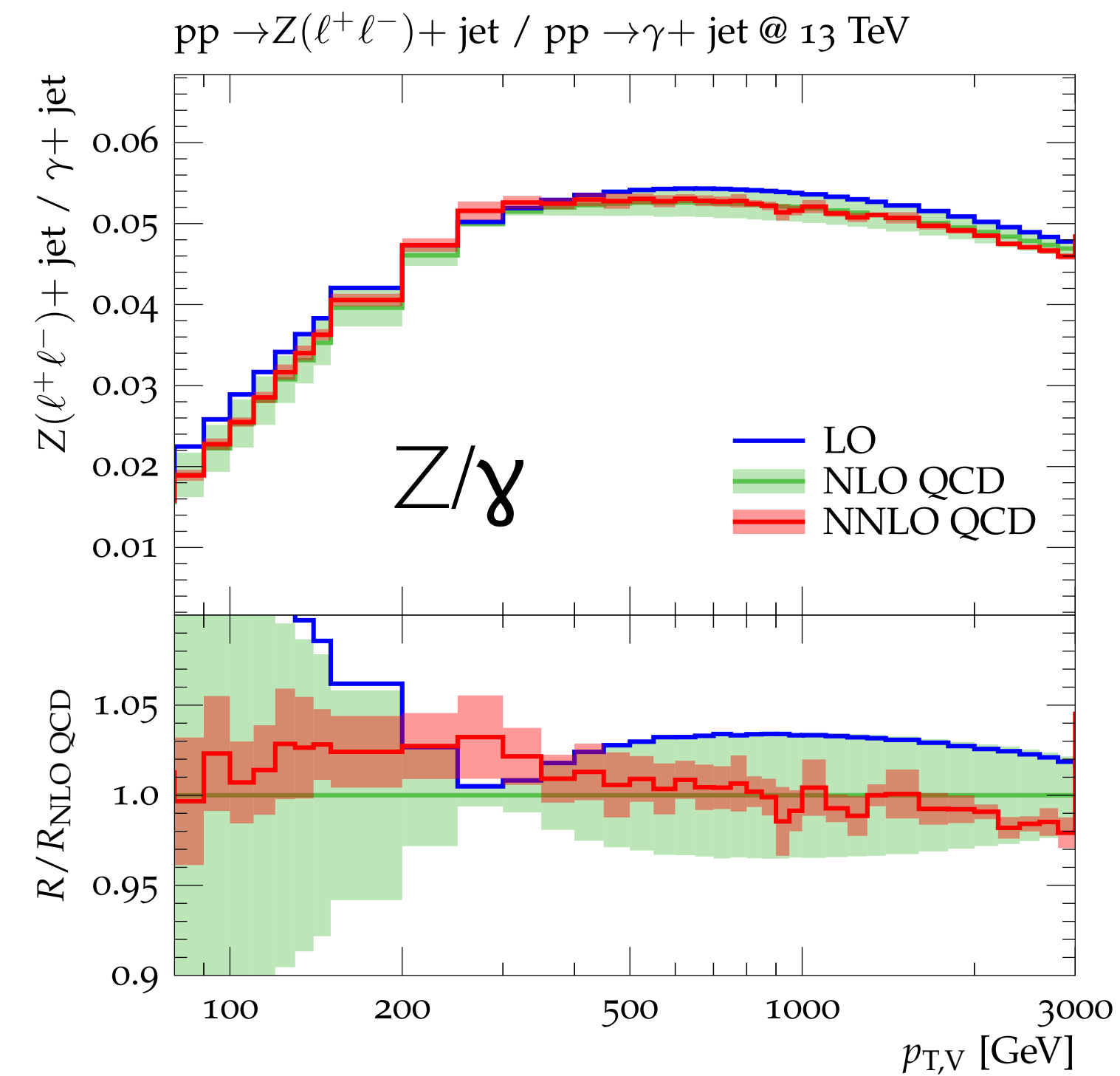
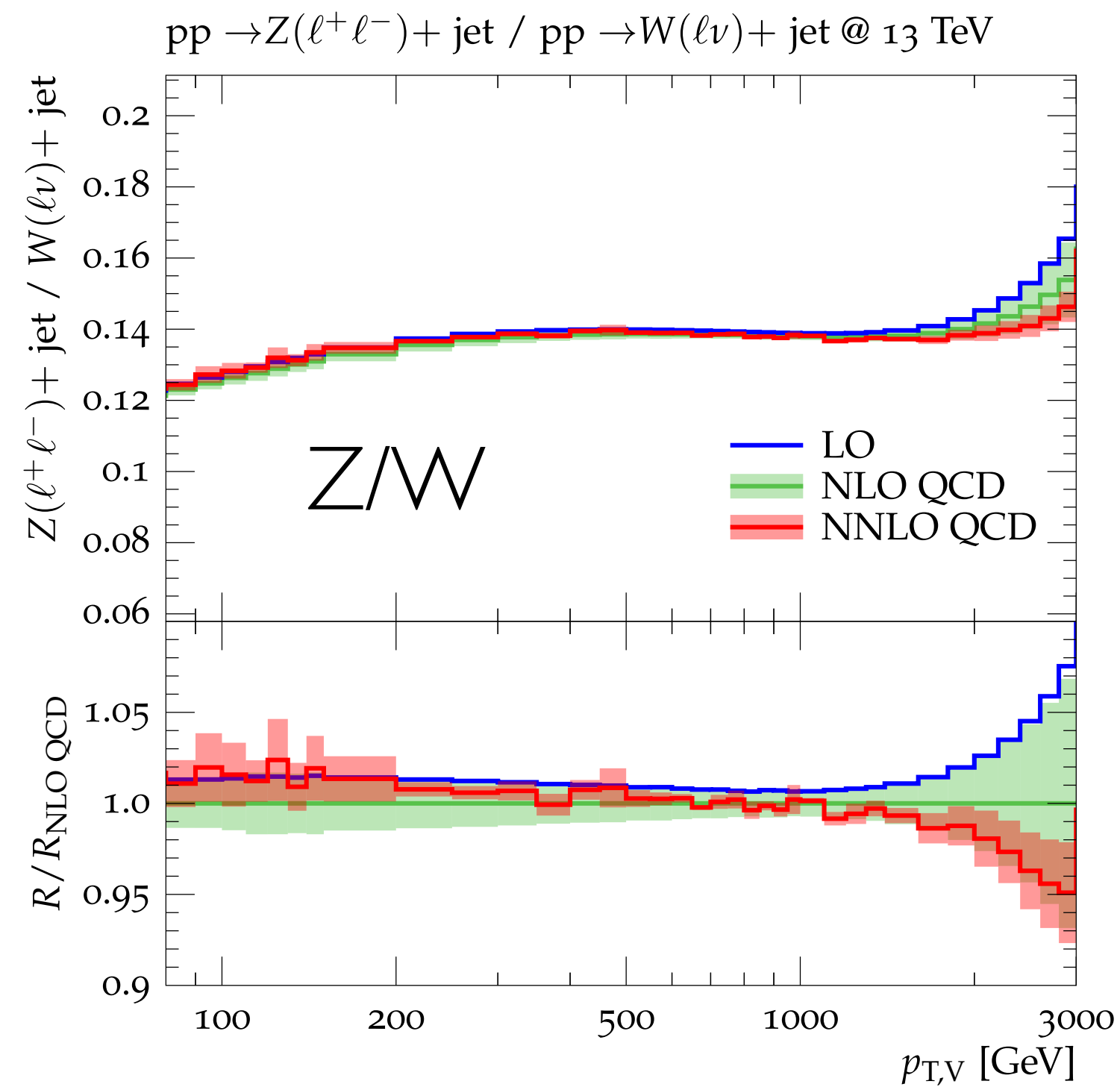


check against NNLO QCD!

# QCD uncertainties: ratios

How to correlate these uncertainties across processes?

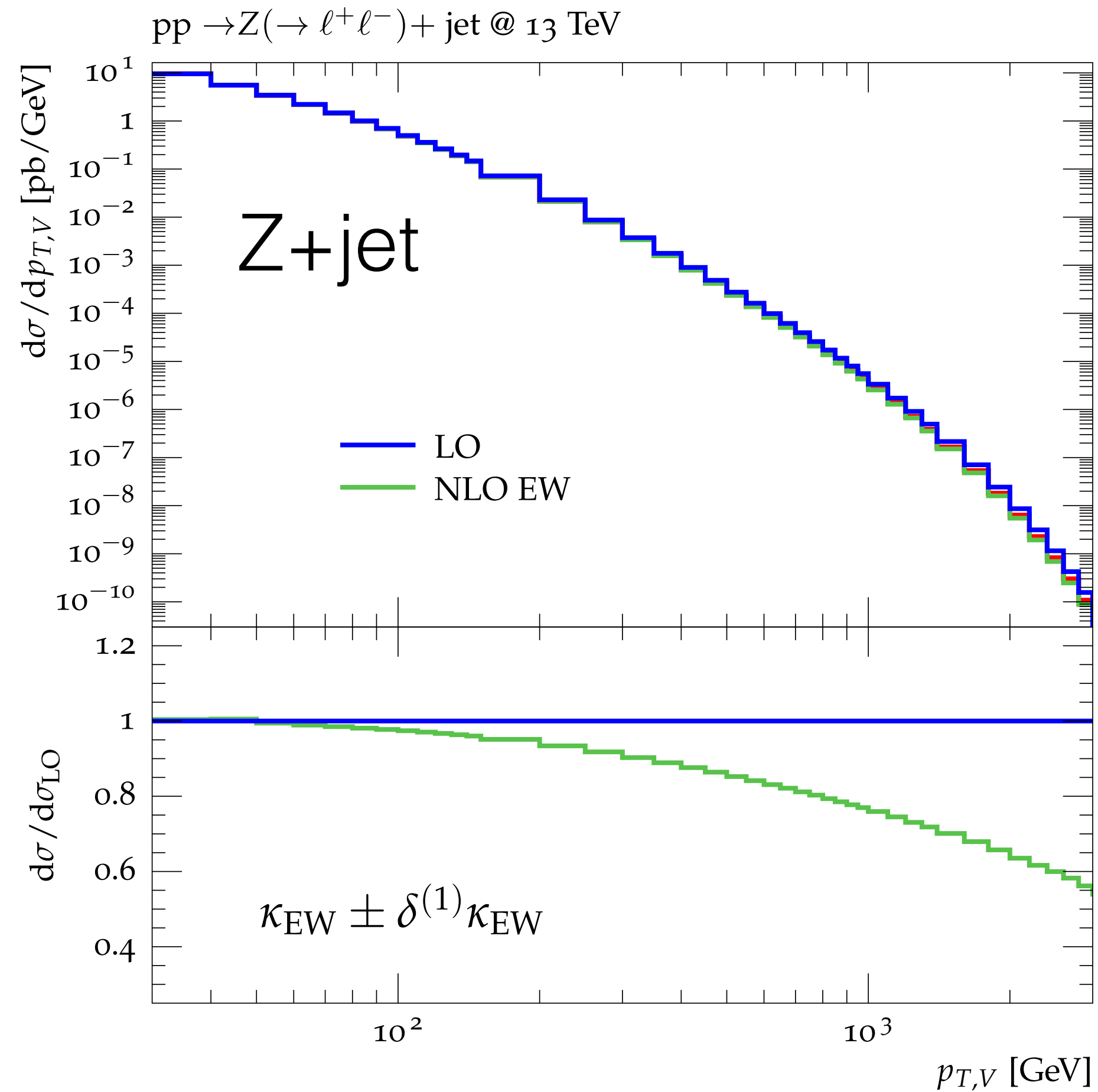
- take scale uncertainties as fully correlated:  
NLO QCD uncertainties cancel at the  $< \sim 1\%$  level
- introduce **process correlation uncertainty** based on K-factor difference:  $\delta K_{(N)NLO} = K_{(N)NLO}^V - K_{(N)NLO}^Z$   
→ effectively degrades precision of last calculated order



Uncertainty estimates at NNLO QCD



# Pure EW uncertainties



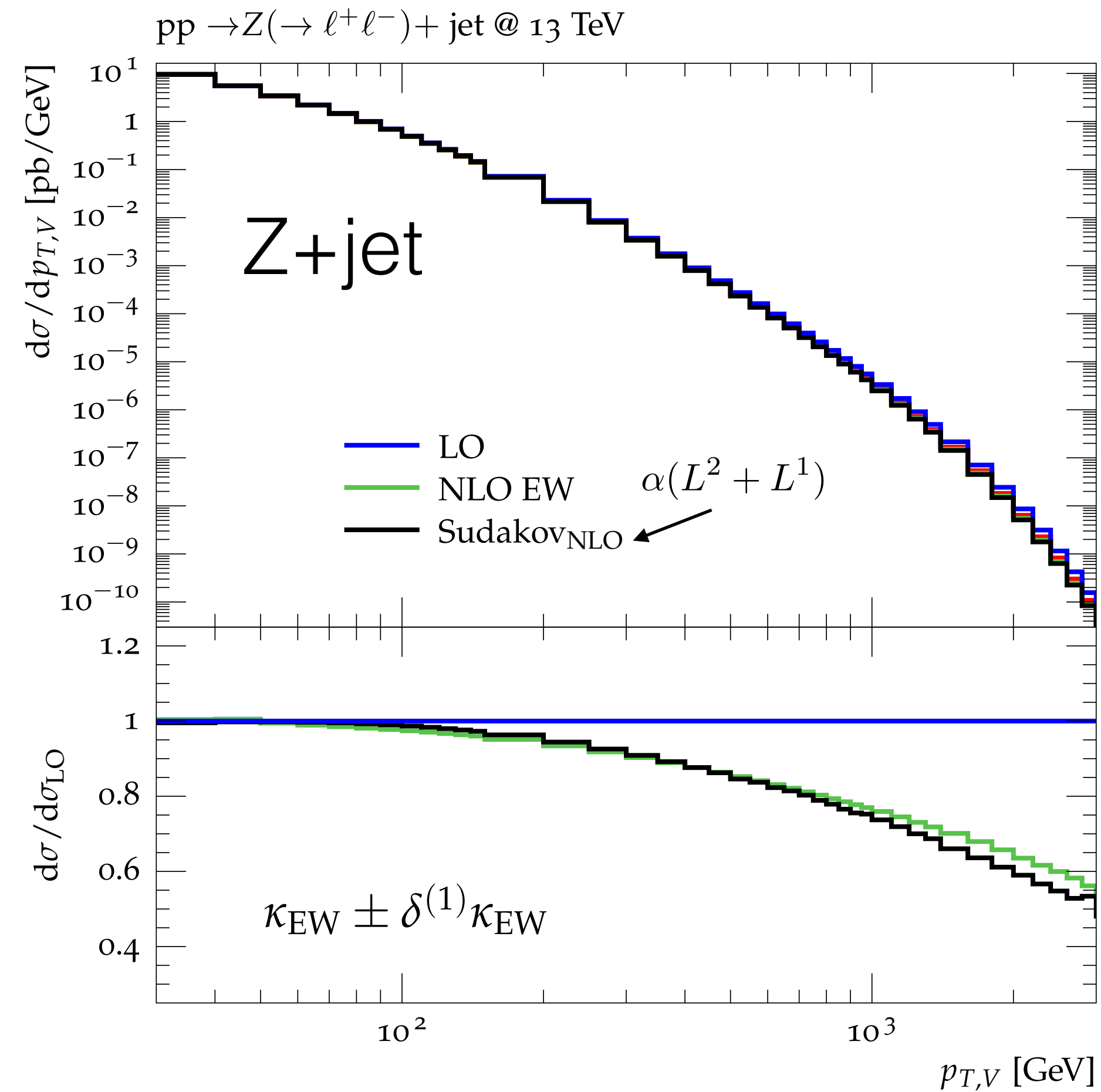
EW corrections become sizeable  
at large  $p_{T,V}$ : -30% @ 1 TeV

Origin: virtual EW Sudakov logarithms

How to estimate corresponding pure EW uncertainties  
of relative  $\mathcal{O}(\alpha^2)$ ?

# Pure EW uncertainties

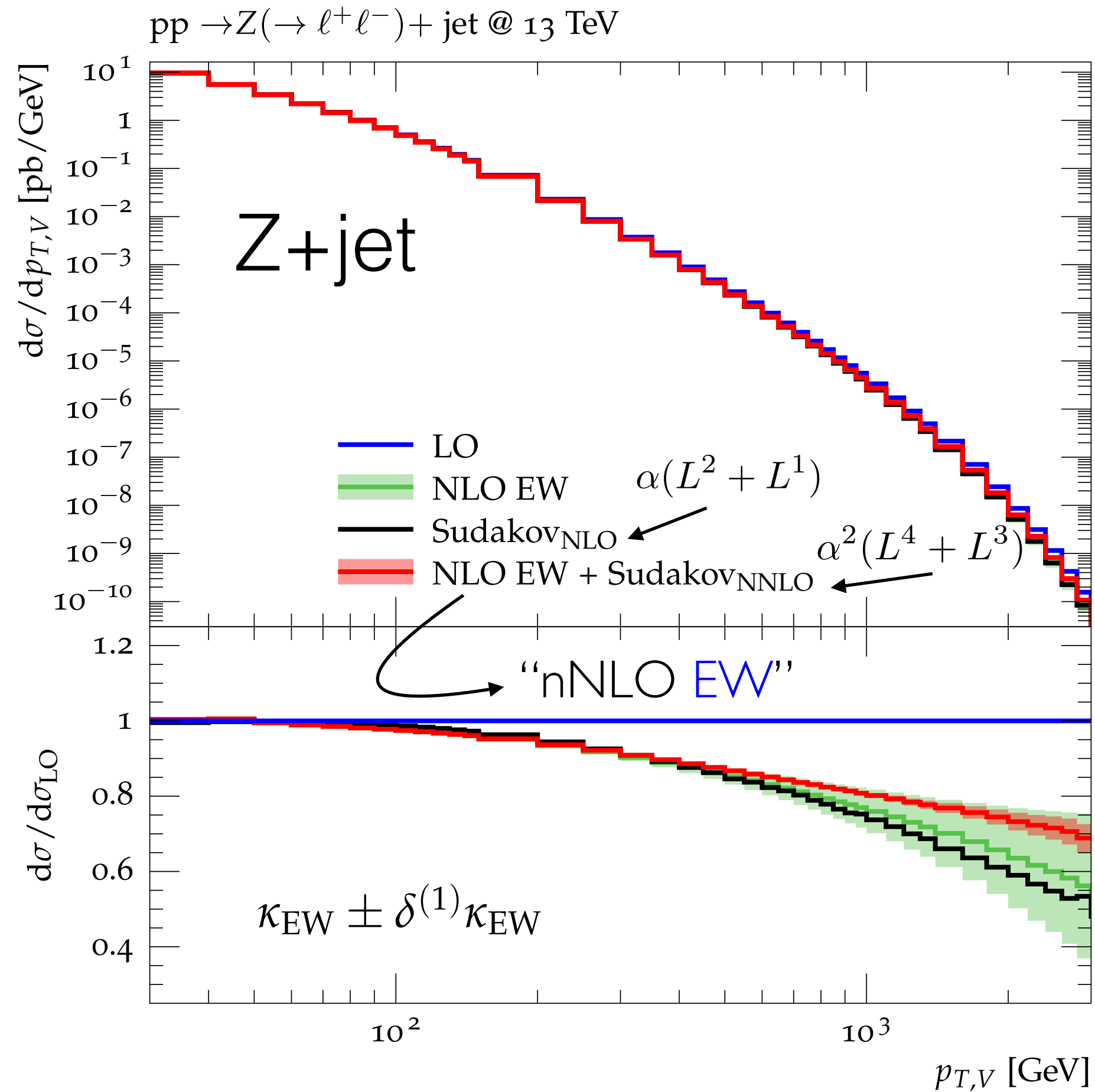
[JML et. al.: 1705.04664]



Large EW corrections dominated by Sudakov logs

# Pure EW uncertainties

[JML et. al.: 1705.04664]



Large EW corrections dominated by Sudakov logs



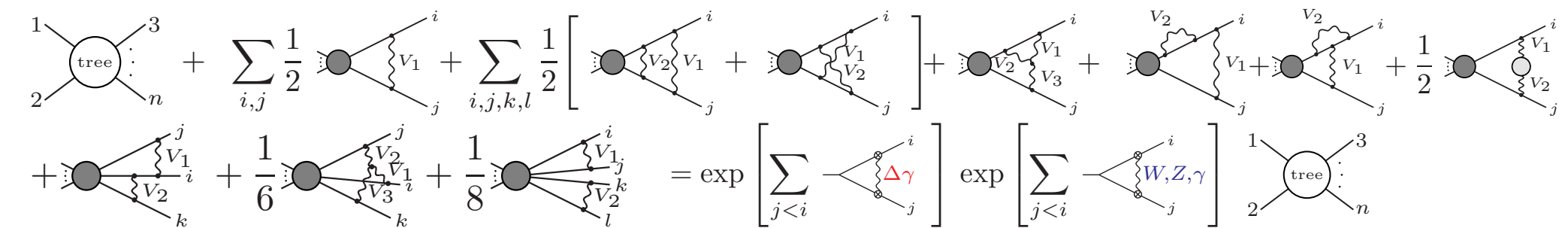
Uncertainty estimate of (N)NLO EW from naive exponentiation  $\times 2$ :

$$\delta^{(1)} \kappa_{EW} \simeq \frac{2}{k!} \left( \kappa_{NLO,EW} \right)^k \quad (\text{correlated})$$



check against two-loop Sudakov logs

[Kühn, Kulesza, Pozzorini, Schulze; 05-07]

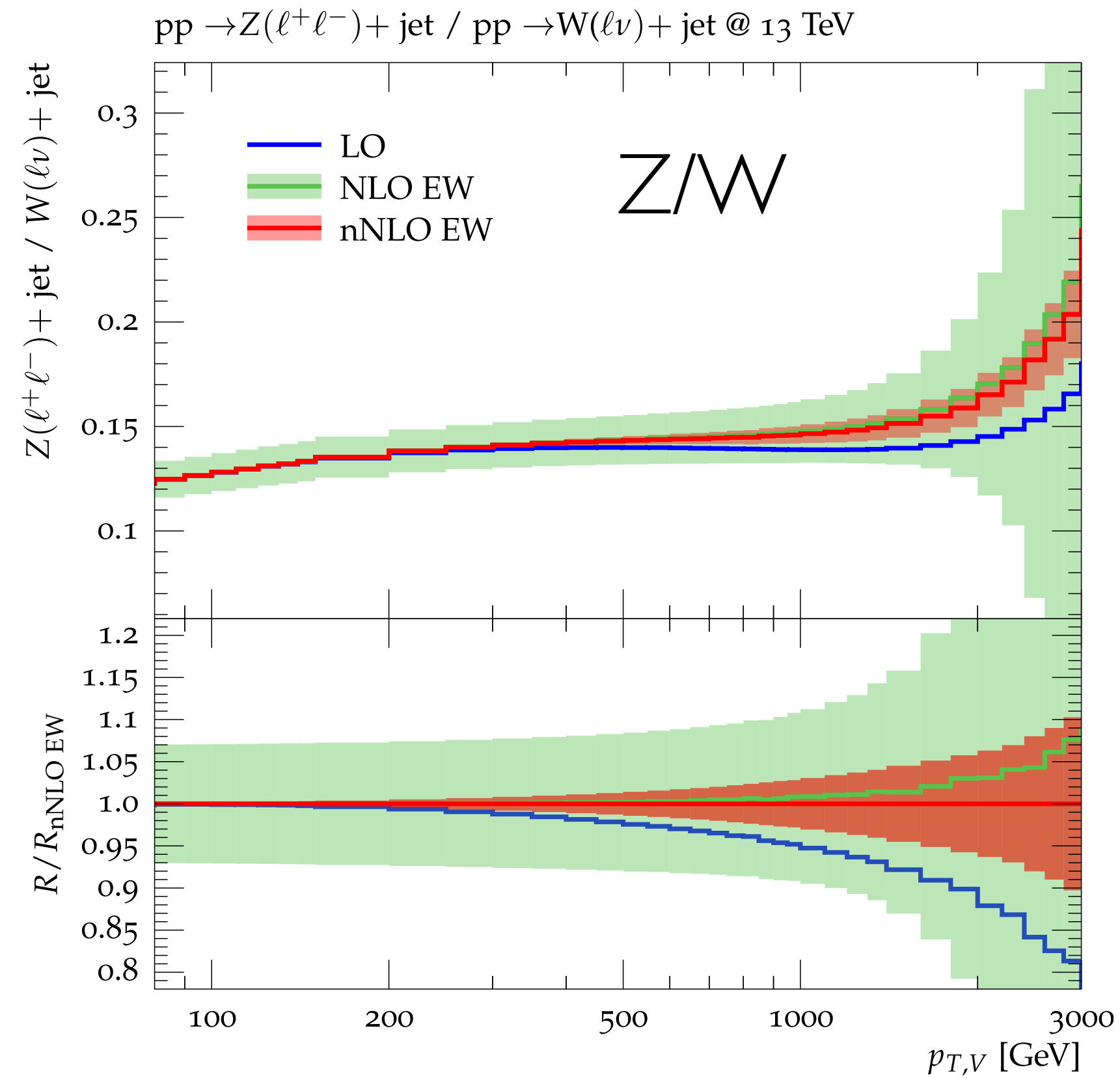


+ additional uncertainties for hard non-log NNLO EW effects (uncorrelated)

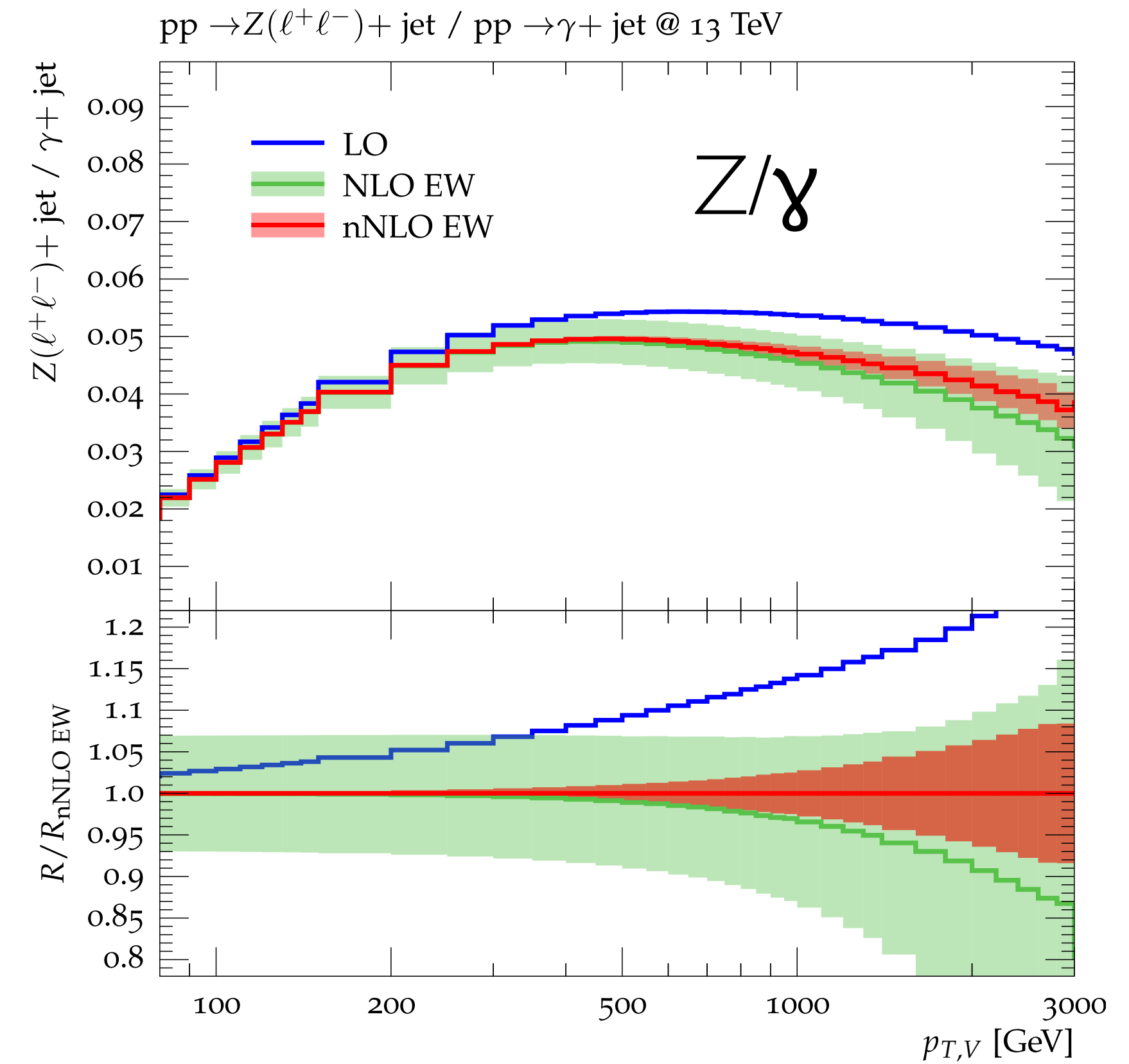
$$\kappa_{NLO,EW}(\hat{s}, \hat{t}) = \frac{\alpha}{\pi} \left[ \delta_{\text{hard}}^{(1)} + \delta_{\text{Sud}}^{(1)} \right]$$

$$\kappa_{NNLO,Sud}(\hat{s}, \hat{t}) = \left( \frac{\alpha}{\pi} \right)^2 \delta_{\text{Sud}}^{(2)}$$

# Pure EW uncertainties: ratios



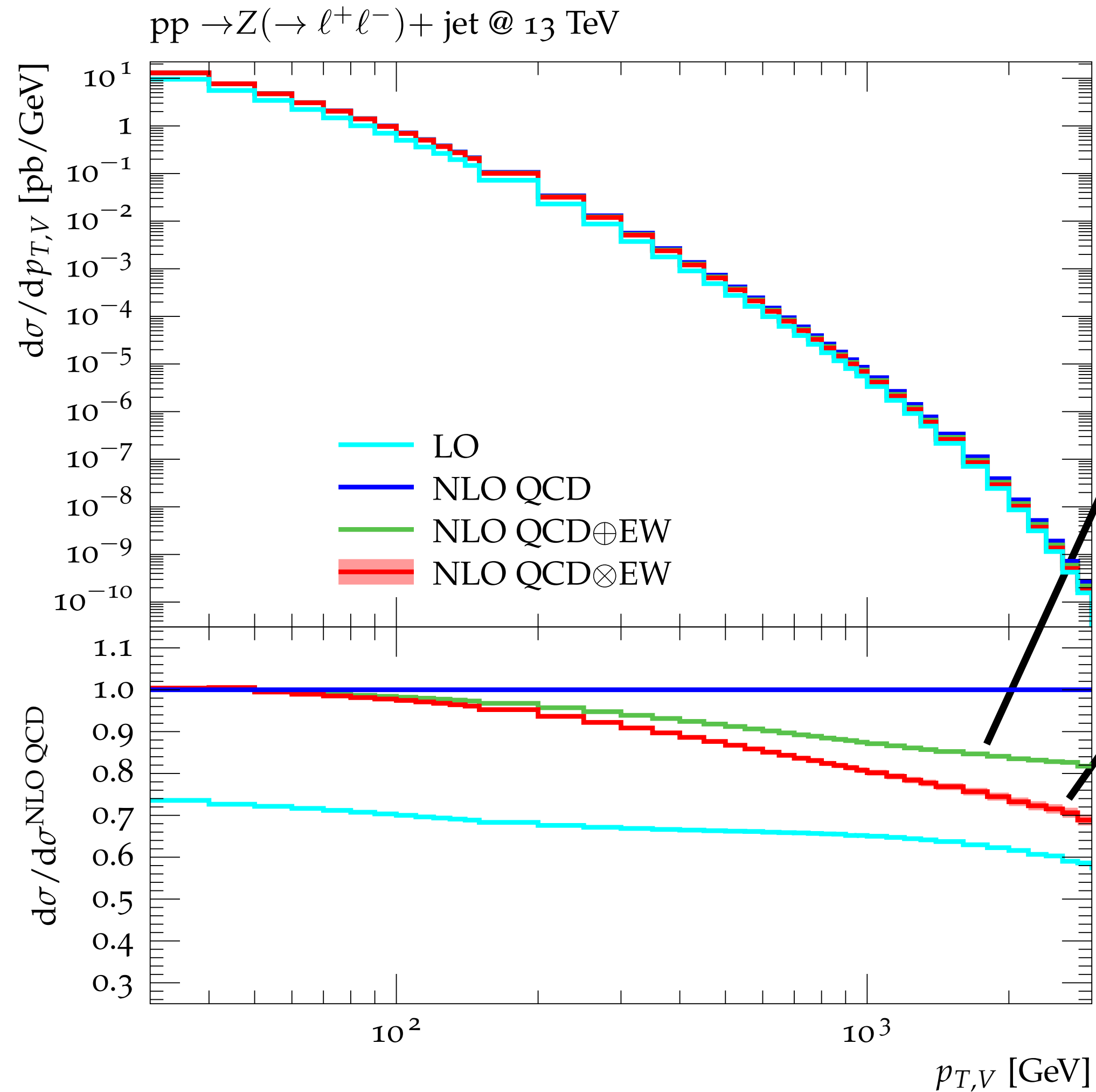
- NLO EW:  $\sim 5\%$  for  $p_T=1$  TeV
- nNLO EW:  $\sim 1\%$  for  $p_T=1$  TeV



- NLO EW:  $\sim 15\%$  for  $p_T=1$  TeV
- nNLO EW:  $\sim 4\%$  for  $p_T=1$  TeV

$\delta(R) < 3-5\%$  for  $p_T < 1-2$  TeV

# Mixed QCD-EW uncertainties



Given QCD and EW corrections are sizeable, also mixed QCD-EW uncertainties of relative  $\mathcal{O}(\alpha\alpha_s)$  have to be considered.

## Additive combination

$$\sigma_{\text{QCD}+\text{EW}}^{\text{NLO}} = \sigma^{\text{LO}} + \delta\sigma_{\text{QCD}}^{\text{NLO}} + \delta\sigma_{\text{EW}}^{\text{NLO}}$$

(no  $\mathcal{O}(\alpha\alpha_s)$  contributions)

## Multiplicative combination

$$\sigma_{\text{QCD}\times\text{EW}}^{\text{NLO}} = \sigma_{\text{QCD}}^{\text{NLO}} \left( 1 + \frac{\delta\sigma_{\text{EW}}^{\text{NLO}}}{\sigma^{\text{LO}}} \right)$$

(try to capture some  $\mathcal{O}(\alpha\alpha_s)$  contributions, e.g. EW Sudakov logs  $\times$  soft QCD)

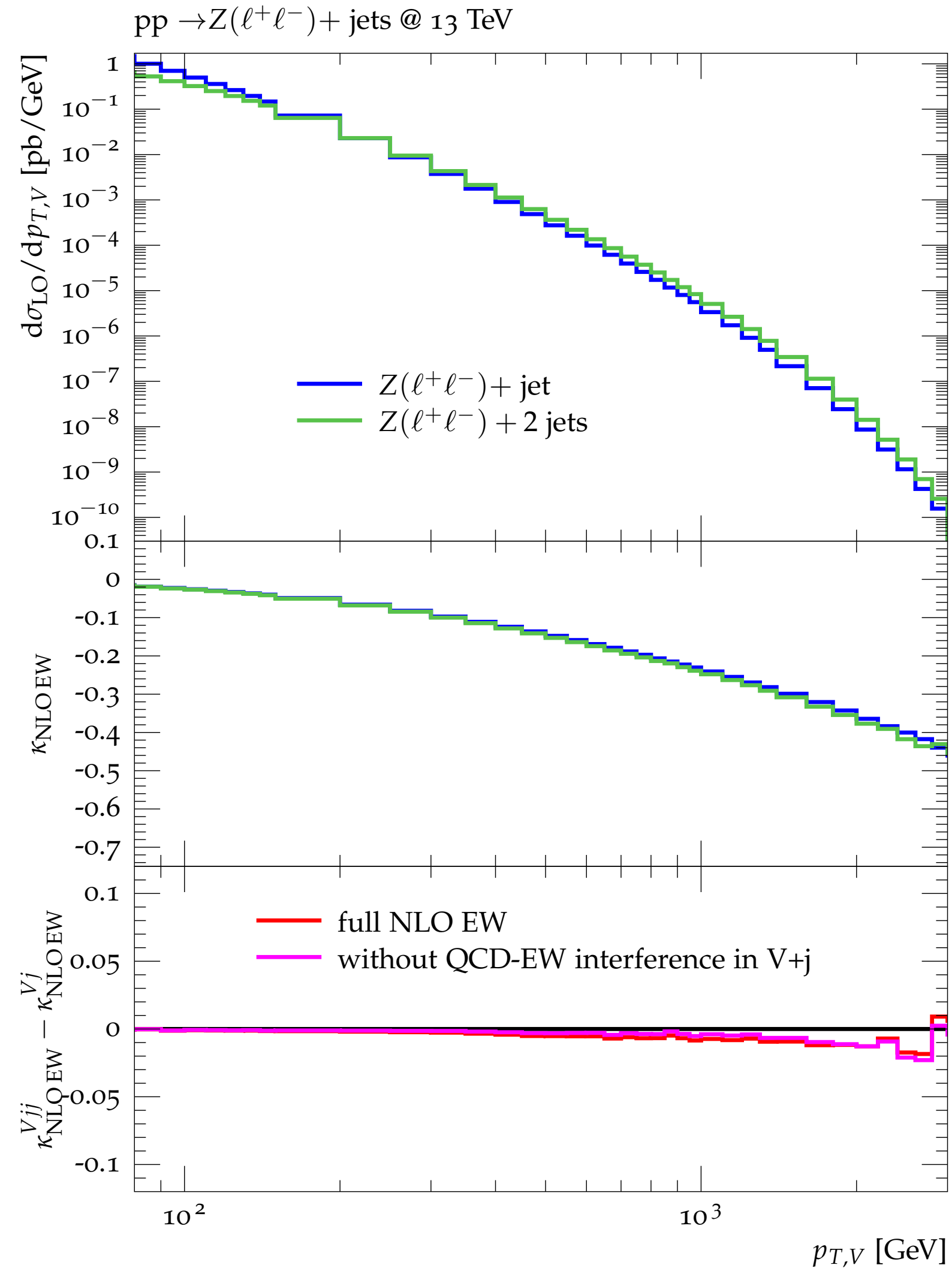
Difference between these two approaches indicates size of missing mixed EW-QCD corrections.

$$K_{\text{QCD}\otimes\text{EW}} - K_{\text{QCD}\oplus\text{EW}} \sim 10\% \quad \text{at 1 TeV}$$

Too conservative!?

For dominant Sudakov EW logarithms factorization should be exact!

# Mixed QCD-EW uncertainties



Bold estimate:

Consider real  $\mathcal{O}(\alpha\alpha_s)$  correction to V+jet

$\simeq$  NLO EW to V+2jets

and we observe

$$\left. \frac{d\sigma_{\text{NLO EW}}}{d\sigma_{\text{LO}}} \right|_{V+2\text{jet}} - \left. \frac{d\sigma_{\text{NLO EW}}}{d\sigma_{\text{LO}}} \right|_{V+1\text{jet}} \lesssim 1\%$$

strong support for

- factorization
- multiplicative QCD  $\times$  EW combination

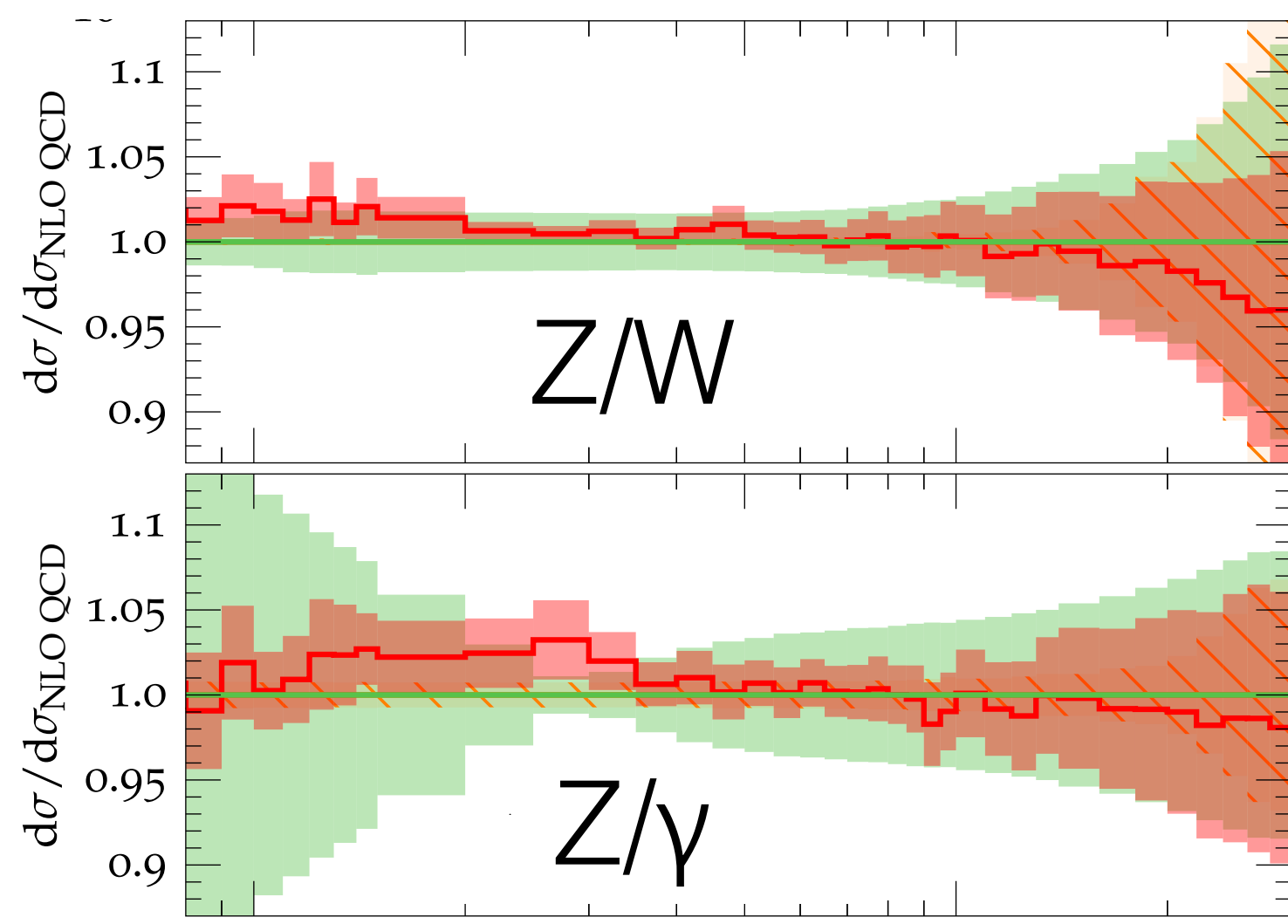
Estimate of non-factorising contributions

(correlated)

$$\delta K_{\text{mix}}^{(V)}(x) = 0.1 \left[ K_{\text{TH},\oplus}^{(V)}(x, \vec{\mu}_0) - K_{\text{TH},\otimes}^{(V)}(x, \vec{\mu}_0) \right]$$

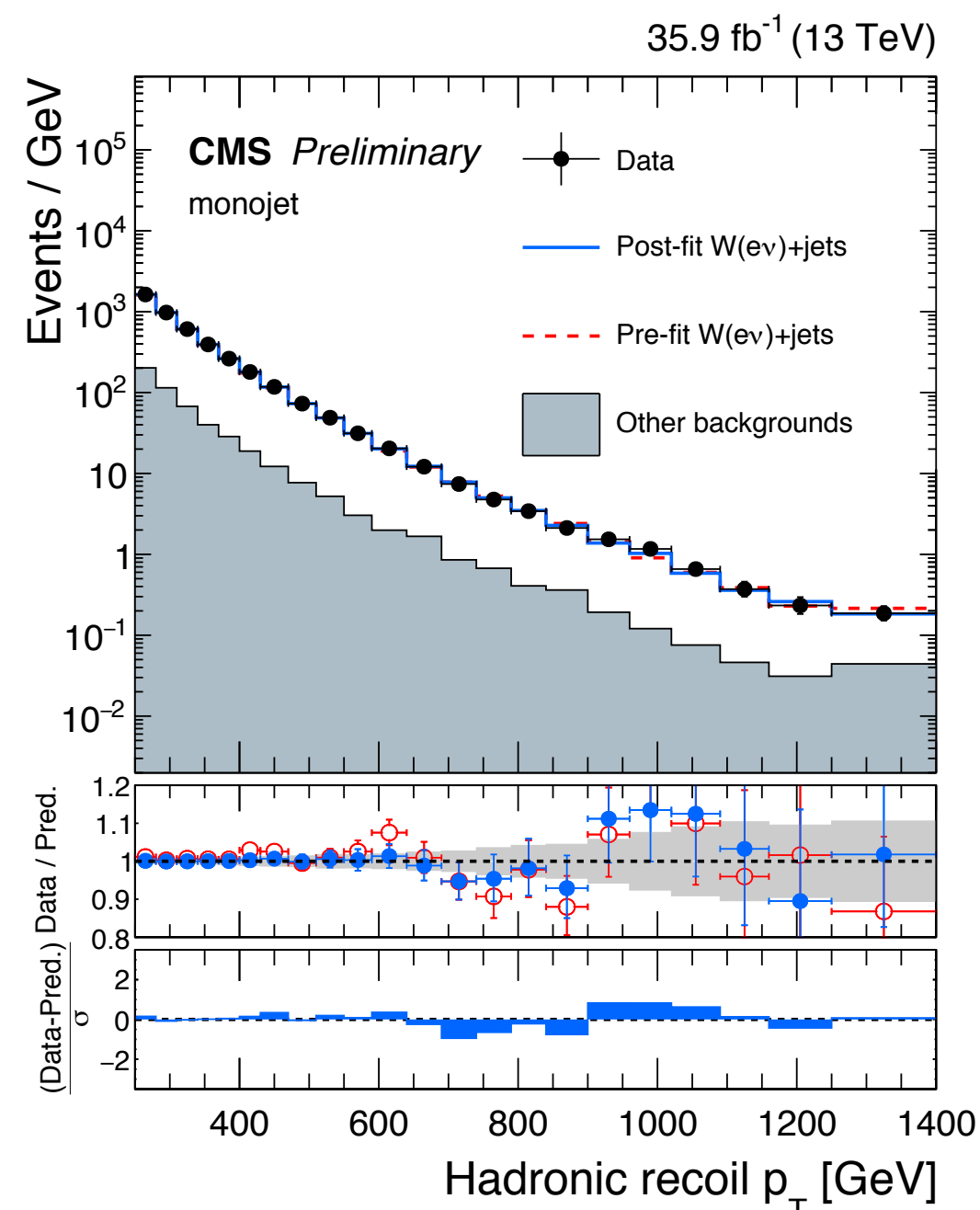
(tuned to cover above difference of EW K-factors )

# Combined uncertainties on $V$ +jets ratios

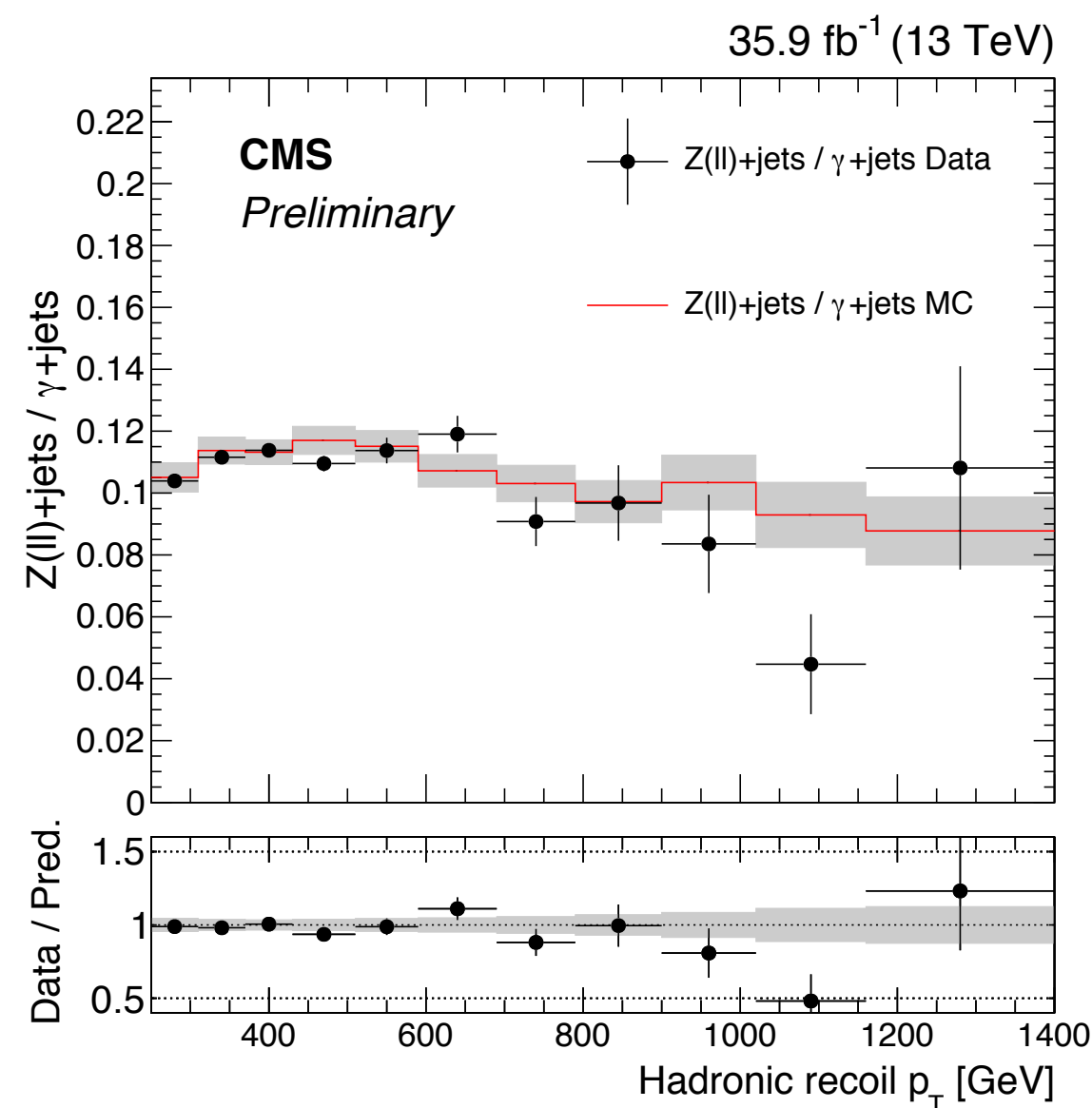


- $\delta_{Z/W} = 1-3\%$  for  $p_T < 1$  TeV
- $\delta_{Z/\gamma} = 3-5\%$  for  $p_T < 1$  TeV

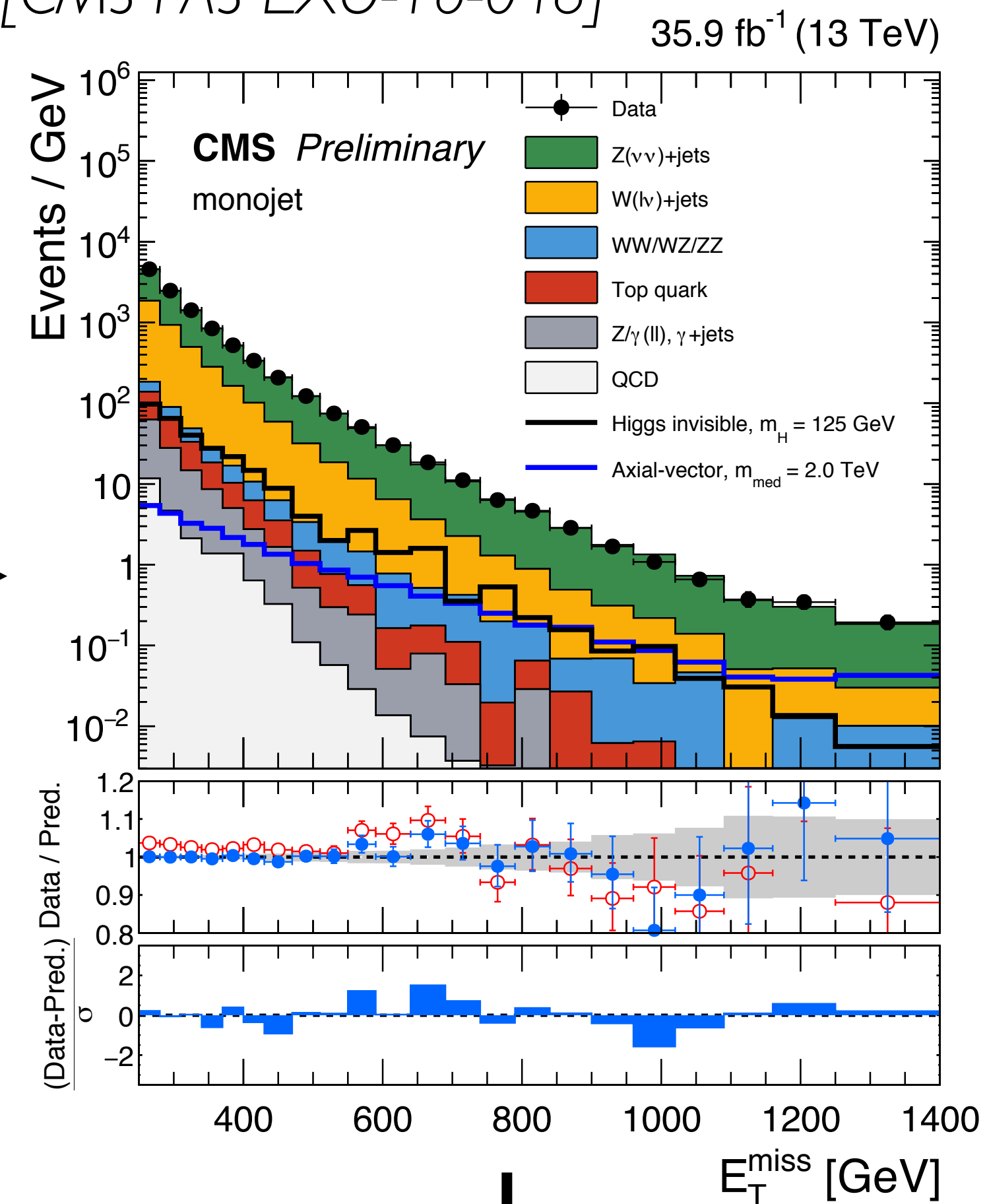
CR



SR



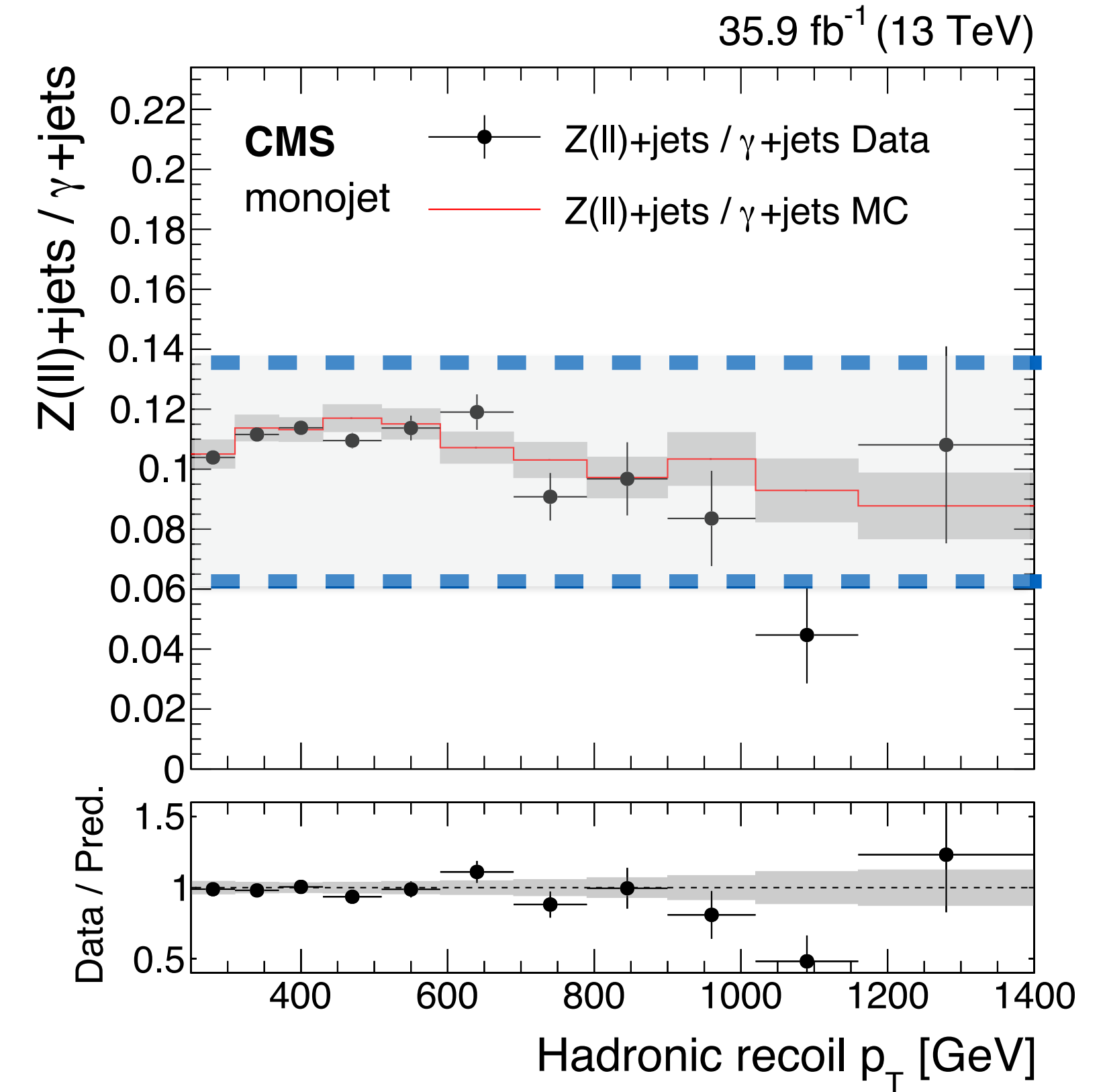
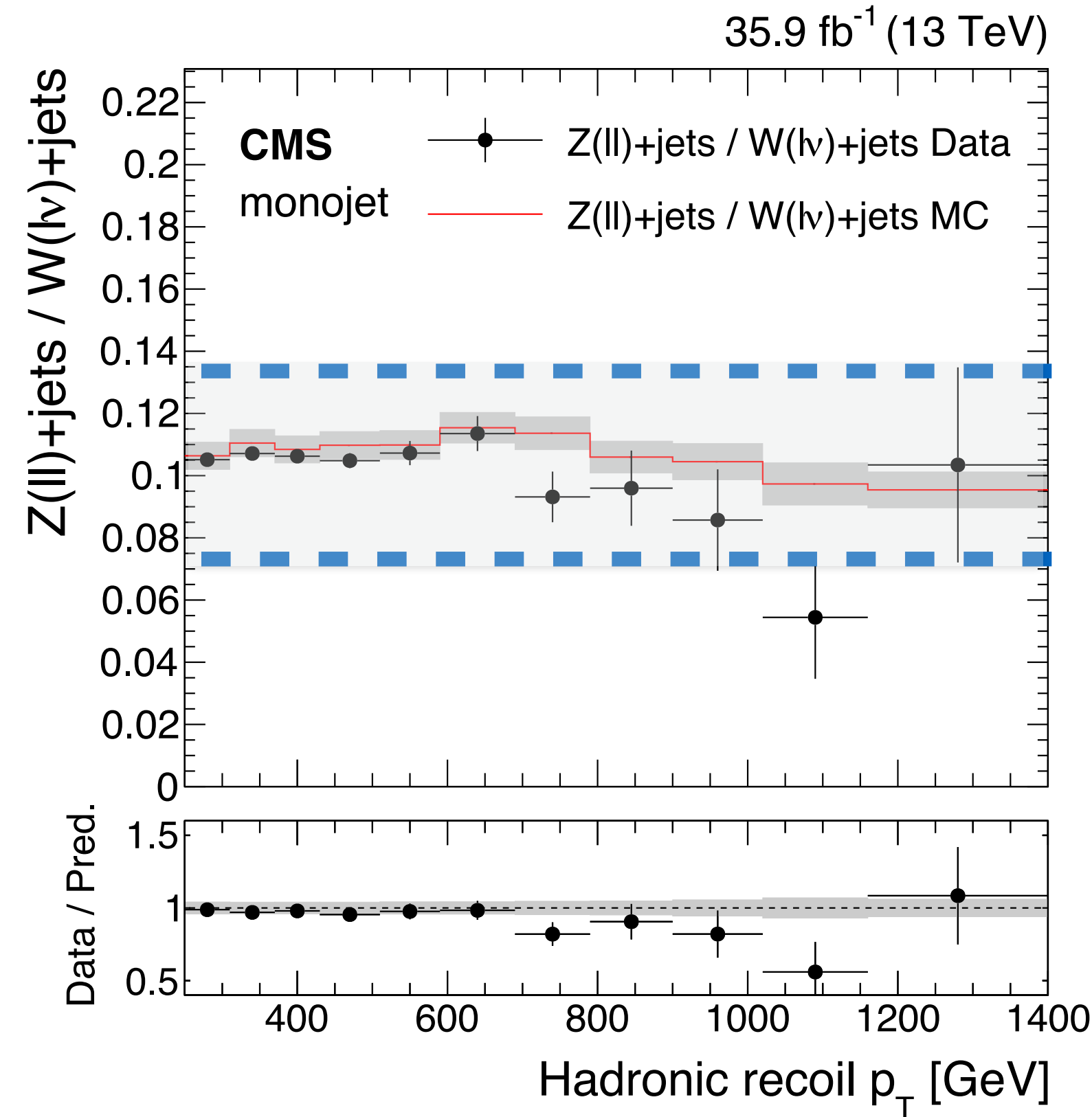
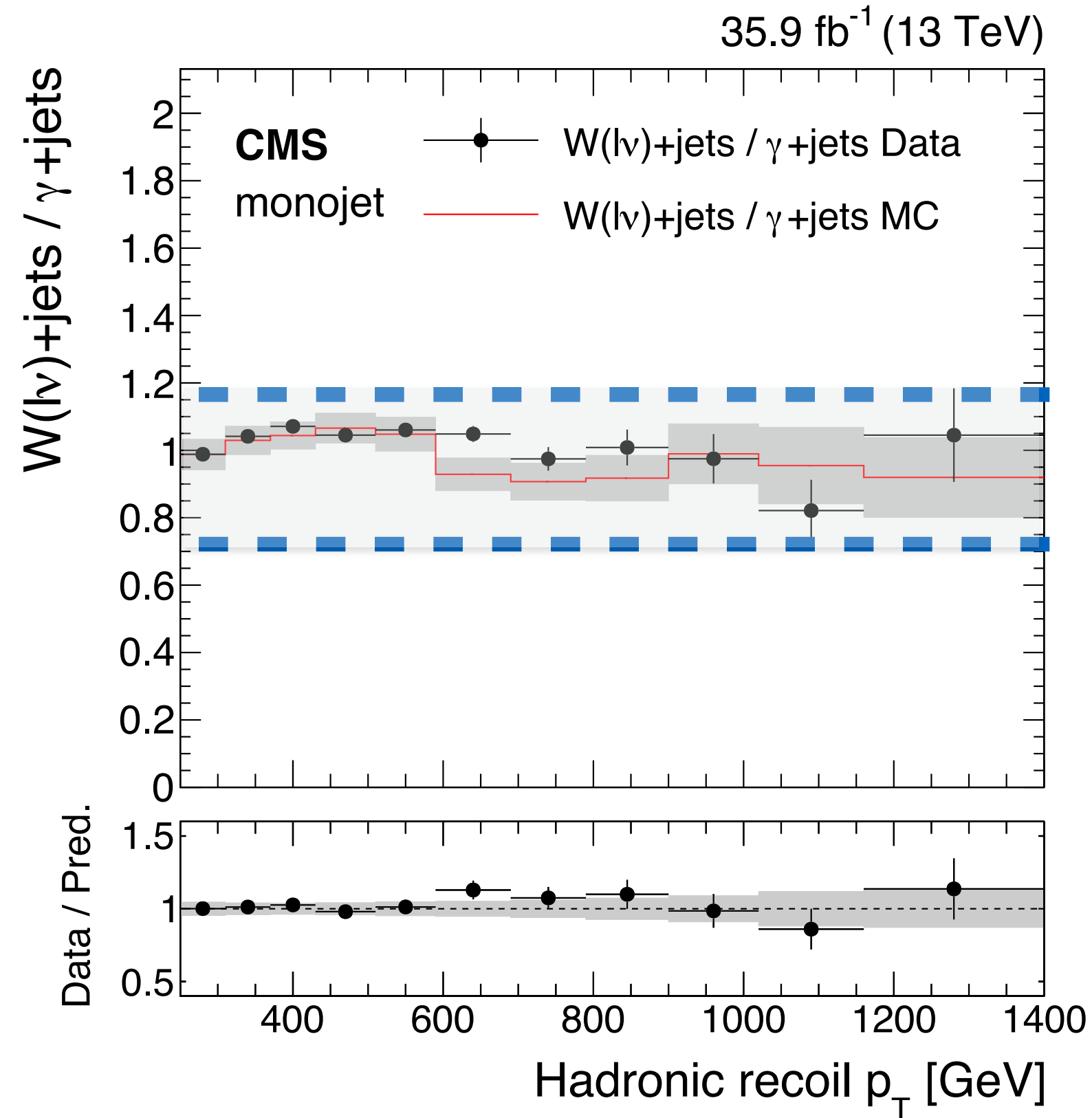
[CMS PAS EXO-16-048]



Unprecedented limits on monojet DM production!

# Experimental closure tests CMS monojet searches

[slide: Zeynep Demiragli,  
DM@LHC 2018]



**Black ratio from data and statistical uncertainties / Red from MC**

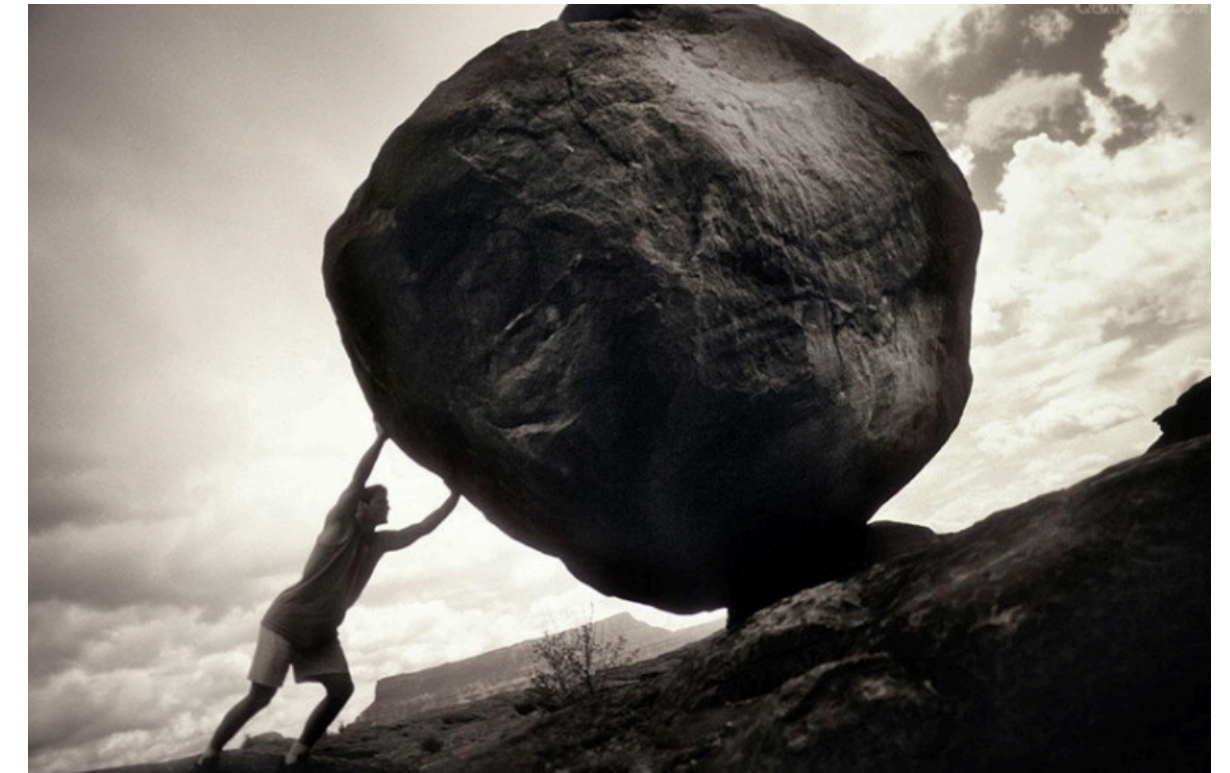
Grey band includes theoretical uncertainties

**dashed lines -> what the uncertainties would have been without the work of the theory community**



# Conclusions

- ▶ There is no clear scale/signature for new physics effects:  
Let's explore the unknown leaving no stone unturned!
- ▶ Theory precision is often key to fully harness power of BSM searches.
- ▶ Detailed understanding of theory systematics is becoming pivotal.
- ▶ Automation of higher-order corrections allows for detailed phenomenological analyses for a multitude of process. But: need to look inside the black box.
- ▶ Let's push the precision frontier!



BACKUP

# Alphabet-assisted bump hunt method

Applicable when both alphabet and bump hunt methods can be used

## EXAMPLE: heavy resonances decaying into two Higgs bosons

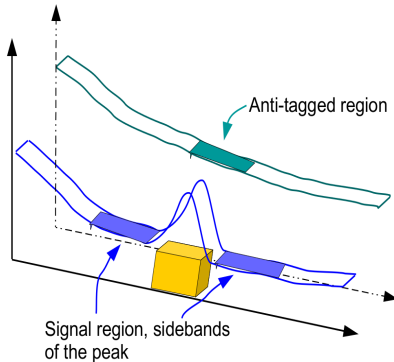
Simultaneous fit of a control and signal region

→ Background normalization in signal region constrained by the pass/fail ratio from the alphabet method (sidebands region)

$$N_{\text{SR}} = N_{\text{CR}} \cdot R_{\text{p/f}}$$

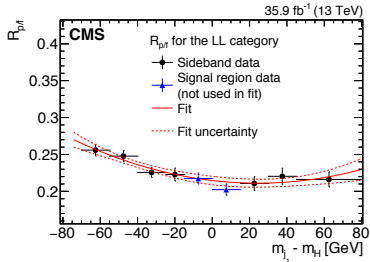
→ background shape extracted by fit using the same parametric function for both regions

PRO: smooth fluctuations from the alphabet predictions



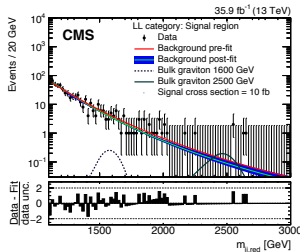
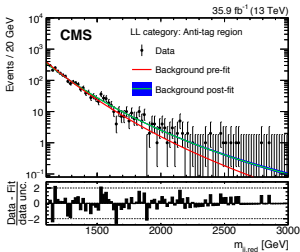
# Alphabet-assisted bump hunt method

Applicable when both alphabet and bump hunt methods can be used



Selection of two large-cone double b-tagged jets

Dominant background:  
QCD multijet final states

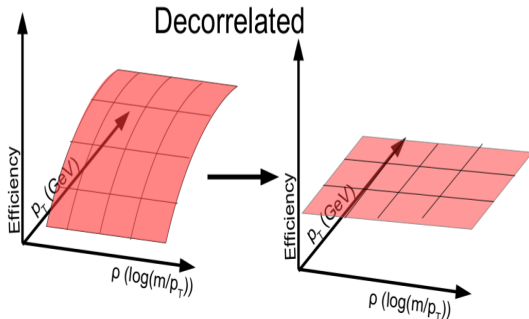


pre-fit: background fit in  
CR scaled by  $R_{p/f}$  in SR

post-fit: simultaneous fit  
of CR and SR contrained  
by  $R_{p/f}$

CMS - PLB 781 (2018) 244

2D fit of jet  $p_T$  and  $\rho$  (instead of mass), in order to avoid sculpting and correlation

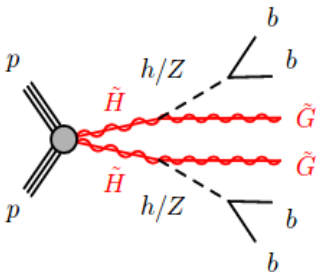


Decorrelation of variables avoid mass sculpting and achieves better performance (and smaller uncertainty)

Parametrize the pass/fail ratio in 2D ( $\rho$  and  $p_T$ ) (ideally it is flat, in reality has a little slope)

# Factorization cuts: BDT-based event reweighting

Definition of a control region (two-tag) and extrapolation to four-tag region through a BDT (fully data-driven transfer function)



Search for higgsinos pair production with b-tagged jets

Low-mass analysis:

→ four b-tagged jets  
→ reduced  $E_{\text{T}}^{\text{miss}}$

→ jets paired according to their mass, being close to the Higgs mass

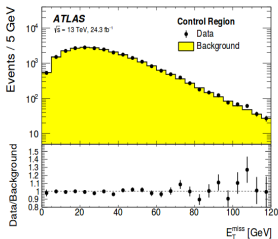
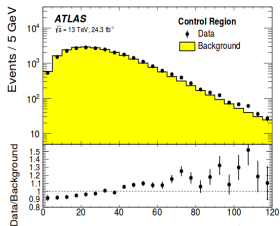
→ Main background from QCD multijet processes

Control region defined by two b-tagged jets and two anti b-tag jets

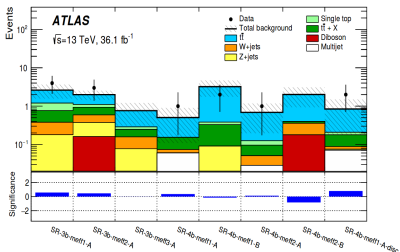
Kinematic differences between 2-tag and 4-tag regions need to be corrected for → reweighting based on a BDT output

# Factorization cuts: BDT-based event reweighting

Extrapolation to the signal region performed through a BDT regression based on 27 variables of Higgs candidates and event topology



Weights given by number of 2-tag and 4-tag events obtained for each endpoint BDT leaf



Reweighting crucial for proper background modelling

Three sources of background uncertainty:

- statistics of control regions
- closure of shape in control region
- closure of weights in validation regions

ATLAS - CERN-EP-2018-050 (Subm. to PRD)

# Automation of NLO EW

MoCaNLO+Recola	$pp \rightarrow ll + 2 \text{ jets}$	[1411.0916]
	$pp \rightarrow e^+e^- \mu^+ \mu^- / \mu^+ \mu^- \mu^+ \mu^- / e^+ \nu_e \mu^- \bar{\nu}_\mu$	[1601.07787] [1611.05338]
	$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu \text{ bb (tt)}$	[1607.05571]
	$pp \rightarrow e^+ \nu_e \mu^+ \nu_\mu + 2 \text{ jets (VBS)}$	[1611.02951] [1708.00268]
	$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu \text{ bbH (ttH)}$	[1612.07138]
Sherpa/Munich+OpenLoops POWHEG+OpenLoops	$pp \rightarrow W+1,2,3 \text{ jets}$	[1412.5156]
	$pp \rightarrow ll/l\nu/\nu\nu + 0, 1, 2 \text{ jets (V+jets)}$	[1511.08692]
	$pp \rightarrow ll\nu\nu \text{ (VV)}$	[1705.00598]
MadGraph_aMC@NLO +MadLoop	$pp \rightarrow llH/l\nu H+0,1 \text{ jet (HV)}$	[1706.03522]
	$pp \rightarrow \text{tt}+H/Z/W$	[1504.03446]
	$pp \rightarrow \text{tt}$	[1606.01915] [1705.04105]
	$pp \rightarrow 2 \text{ jets}$	[1612.06548]
MadDipole+GoSam Sherpa+GoSam	$pp \rightarrow W+2 \text{ jets}$	[1507.08579]
	$pp \rightarrow \gamma\gamma+0,1,2 \text{ jets}$	[1706.09022]

- many NLO QCD+EW calculations for **multi-particle processes** are becoming available
- NLO QCD+EW matching and merging with parton showers is under way (approximations available)
- Given the achieved automation: **attention is shifting towards detailed phenomenological applications**



# Caveat: $\gamma$ +jet

Note: this modelling of process correlations assumes close similarity of QCD effects between different  $V$ +jets processes

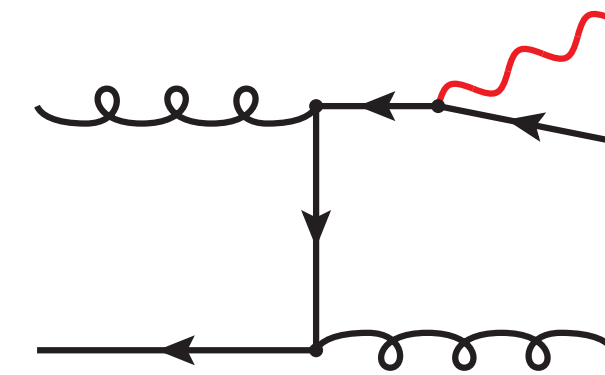
$$\left| \frac{\sigma_{\text{NLO}}^{(V)}}{\sigma_{\text{LO}}^{(V)}} - \frac{\sigma_{\text{NLO}}^{(Z)}}{\sigma_{\text{LO}}^{(Z)}} \right| \ll \left| \frac{\sigma_{\text{NLO}}^{(Z)}}{\sigma_{\text{LO}}^{(Z)}} \right|$$

- apart from PDF effects it is the case for  $W$ +jets vs.  $Z$ +jets
- at  $p_T > 200$  GeV it is in principle also the case for  $\gamma$ +jets vs.  $Z/W$ +jets

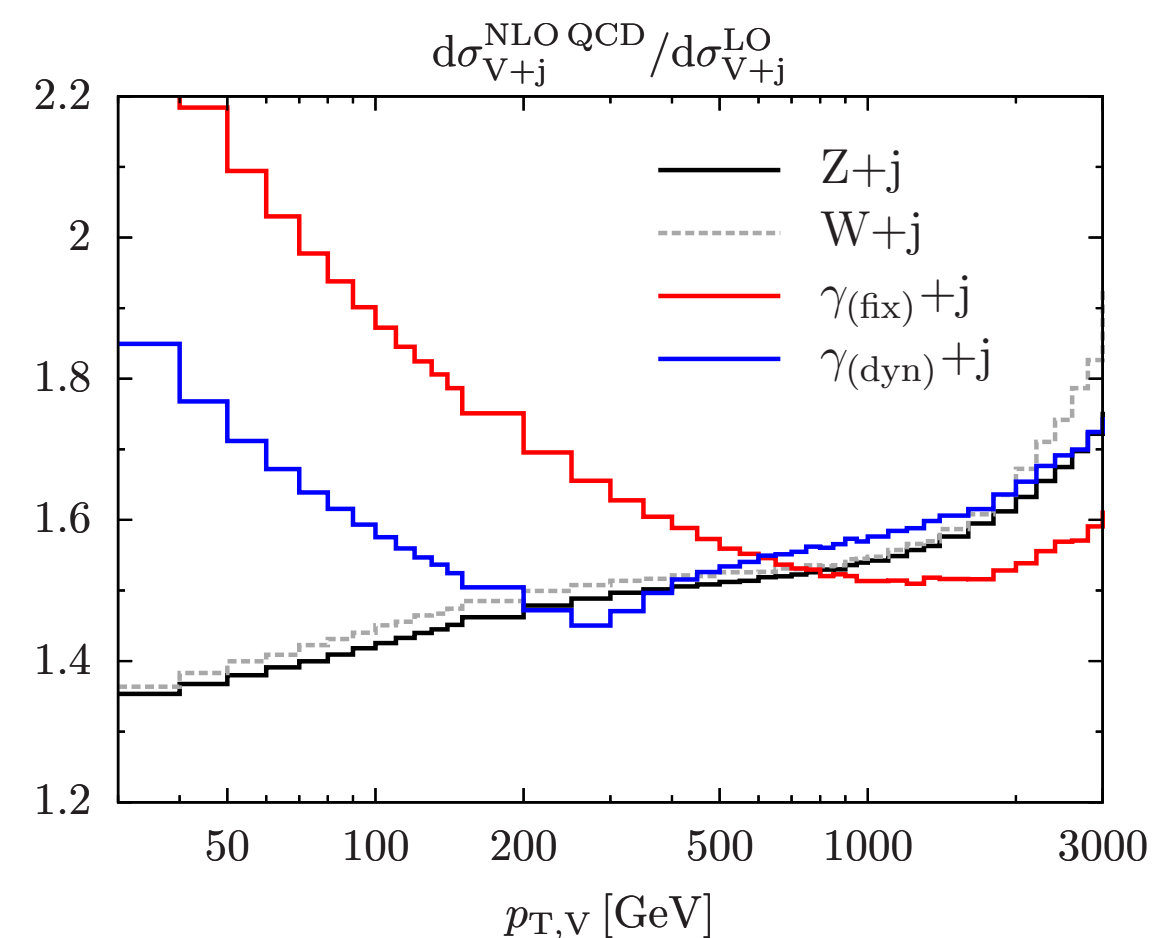
BUT: different logarithmic effects from fragmentation even at  $p_T \gg M_V$

$W/Z$ +jet: mass cut-off  $\rightarrow \log(p_T/M_V)$

$\gamma$ + jet: Frixiene-isolation cone of radius  $R_0 \rightarrow \log(R_0)$



Consider dynamic  $\Upsilon$ -isolation with  $R_{\text{dyn}}(p_{T,\gamma}, \epsilon_0) = \frac{M_Z}{p_{T,\gamma} \sqrt{\epsilon_0}}$



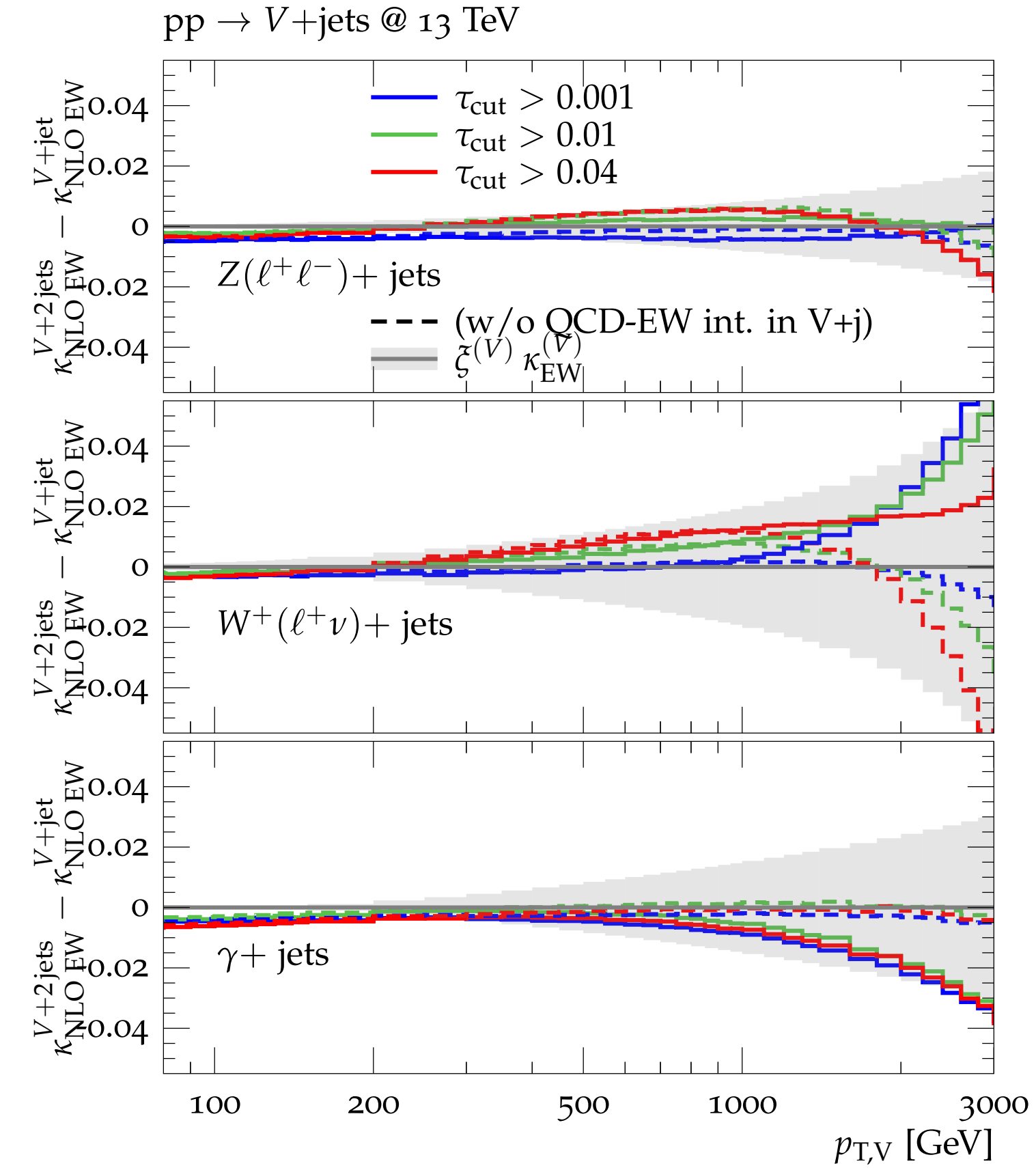
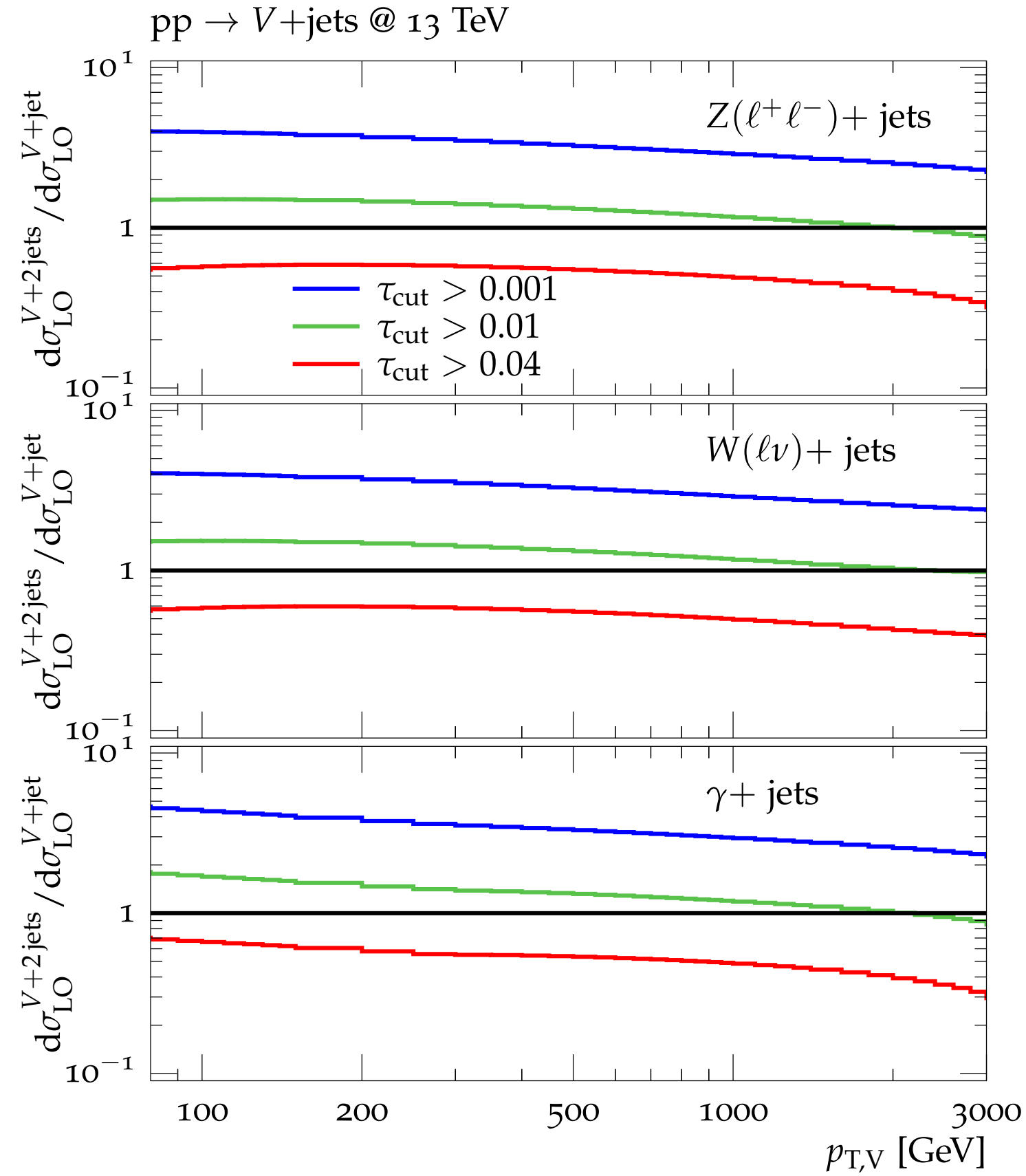
- $\Upsilon_{\text{dyn}}$  behaves like  $W$  or  $Z$  at  $p_T > M_V$   
 $\Rightarrow$  justifies process-correlation estimate

- Additional uncertainty: remnant part  $\Upsilon_{\text{fix}} - \Upsilon_{\text{dyn}}$   
 (through extra MC reweighting)

(uncorrelated)

# Mixed QCD-EW uncertainties

Estimate of non-factorising contributions



N-jettiness cut ensures approx. constant ratio  
V+2jets/V+jet

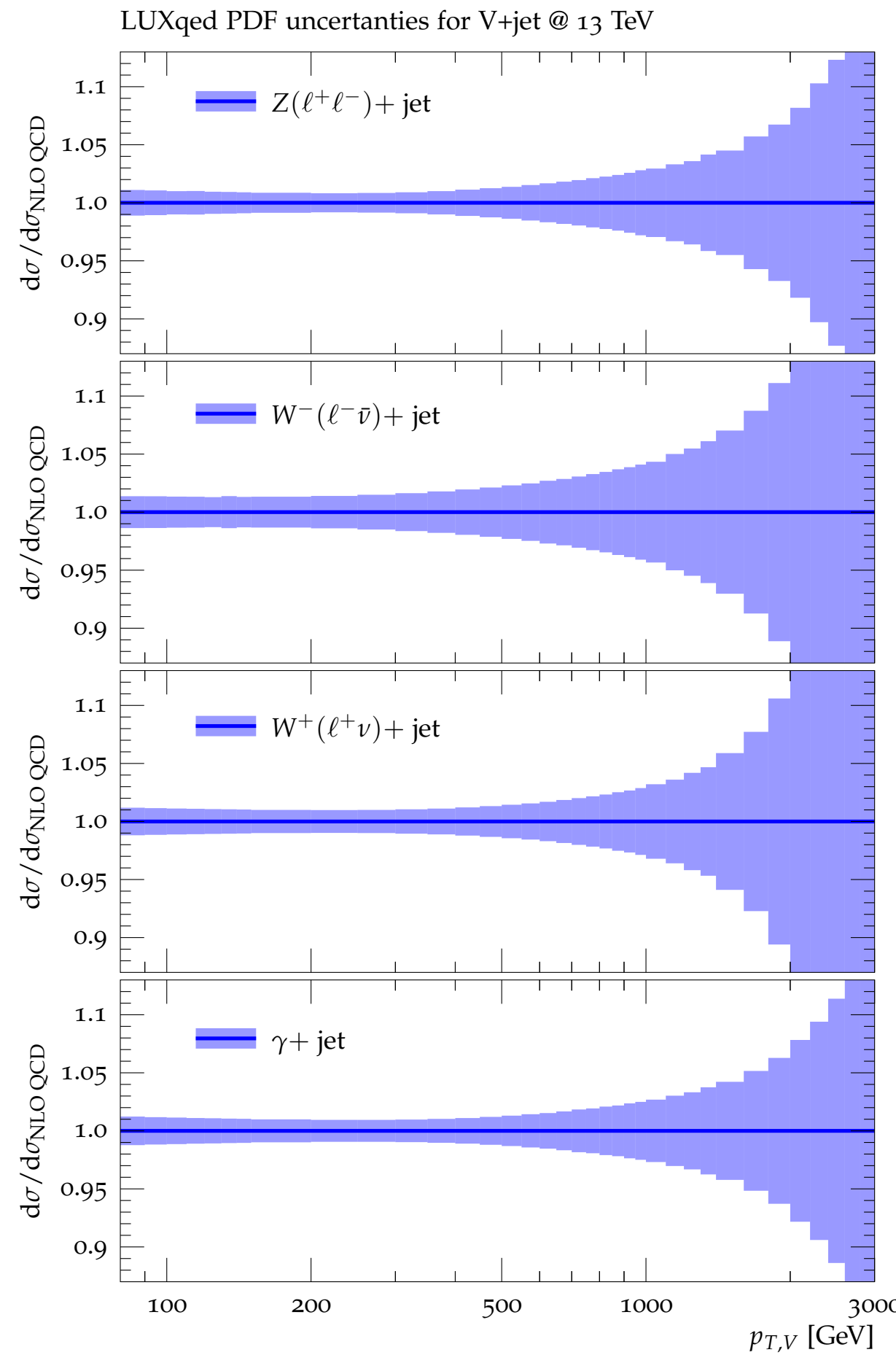
$$\tau_1 = \sum_k \min_i \left\{ \frac{2p_i \cdot q_k}{Q_i \sqrt{\hat{s}}} \right\}$$

$$\delta K_{mix}^{(V)}(x, \mu) = \xi^{(V)} \left[ K_{TH,\otimes}^{(V)}(x, \mu) - K_{TH,\oplus}^{(V)}(x, \mu) \right]$$

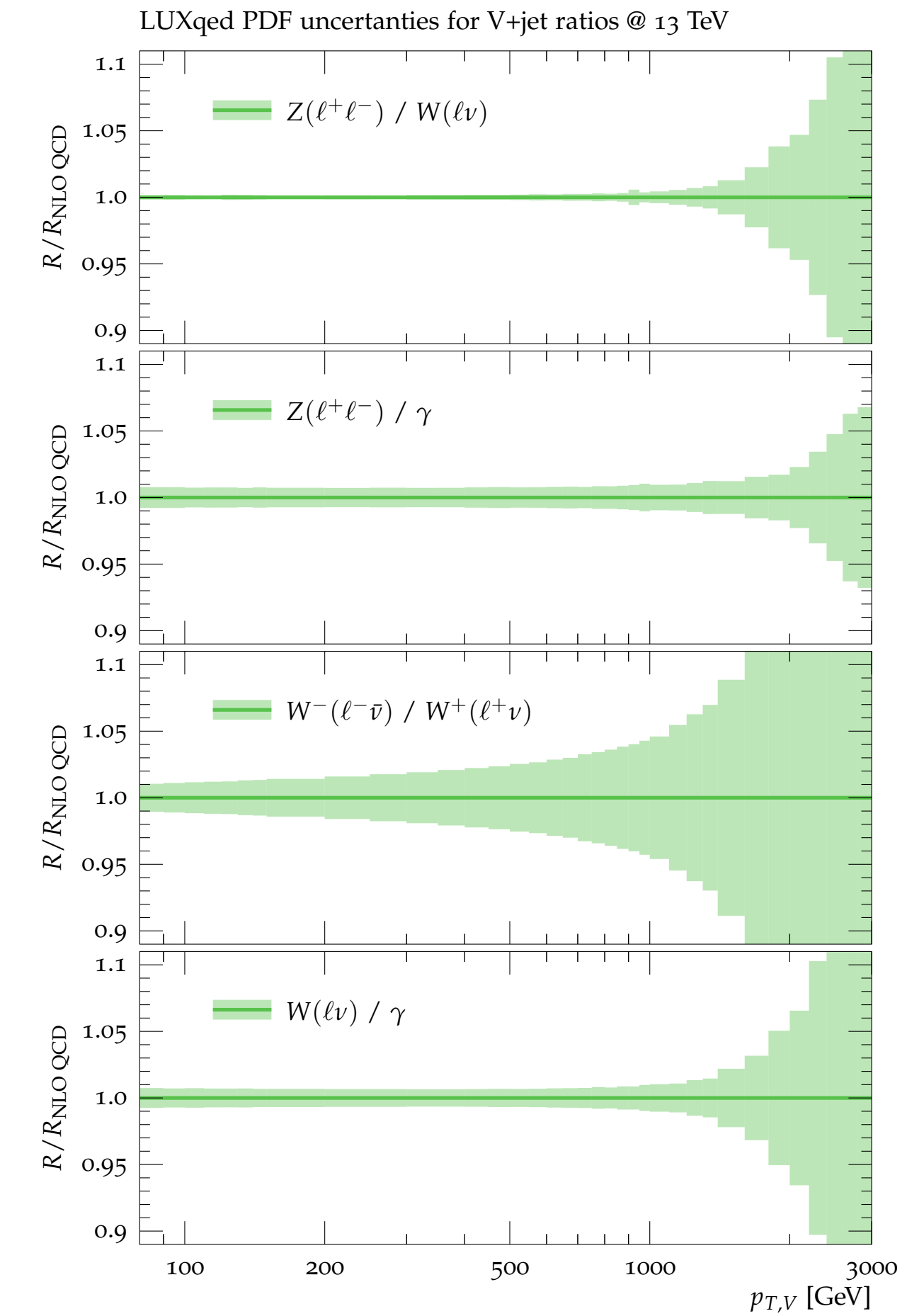
$$\xi^Z = 0.1, \quad \xi^W = 0.2, \quad \xi^\gamma = 0.4$$

(tuned to cover above difference of EW K-factors)

# PDF uncertainties (LUXqed=PDF4LHC)



- $\delta_{\text{PDF}} < 2\%$  for  $p_{T,V} < 800$  GeV
- $\delta_{\text{PDF}} < 5\%$  for  $p_{T,V} < 1500$  GeV



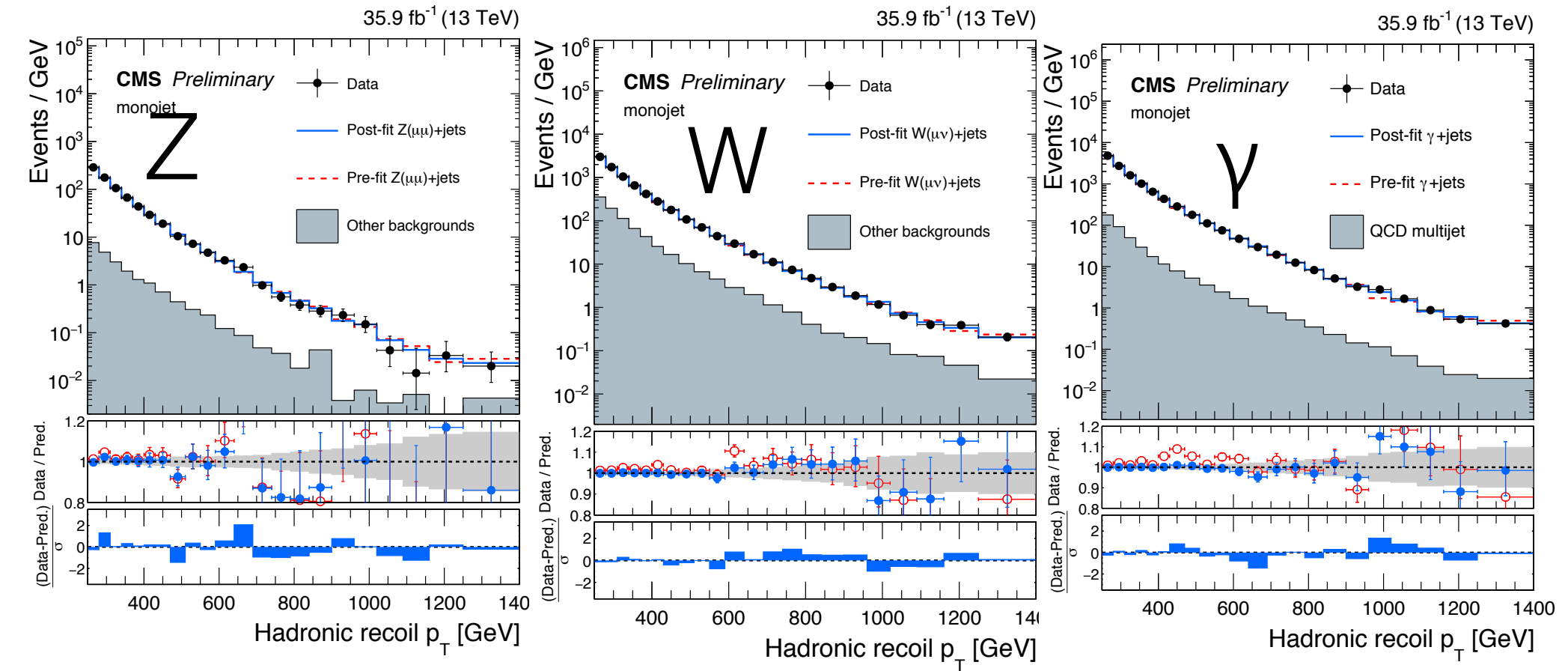
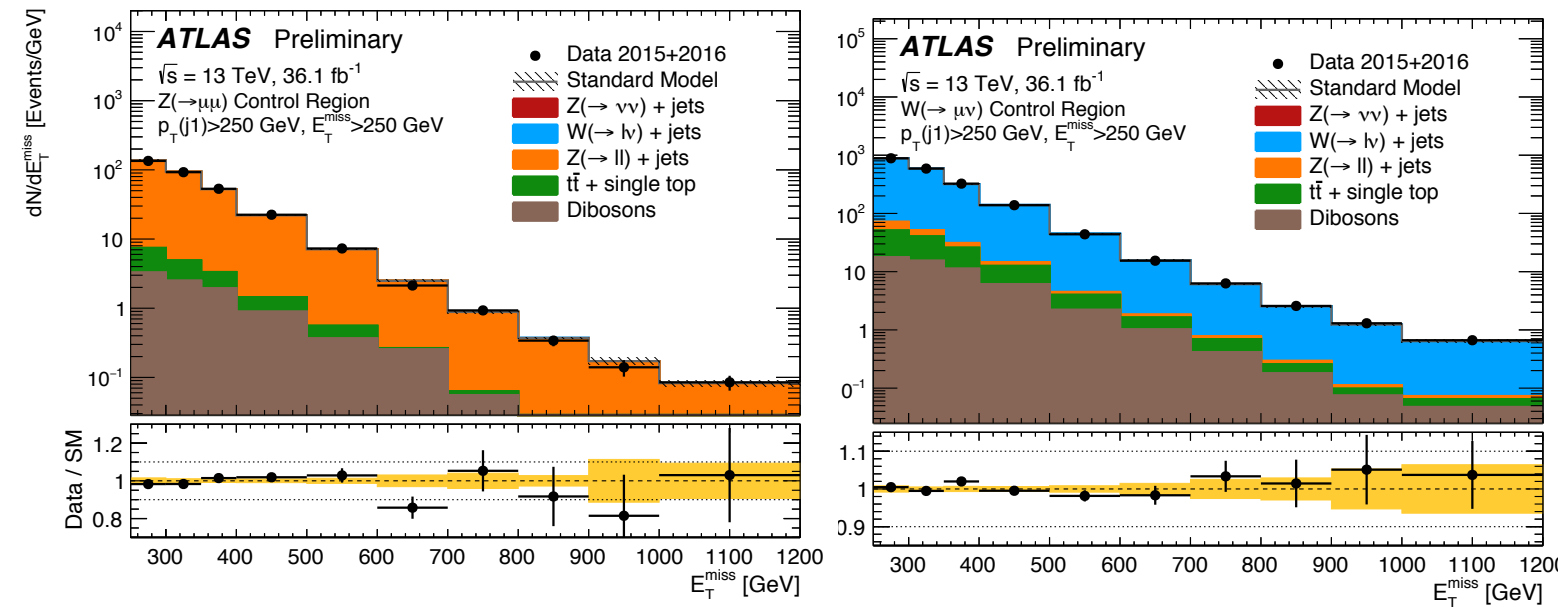
- Z/W:  $\delta_{\text{PDF}} < 0.5\%(2\%)$  for  $p_{T,V} < 800$  GeV(1.5 TeV)
- Z/γ & W/γ:  $\delta_{\text{PDF}} < 2\%$  for  $p_{T,V} < 1.3$  TeV
- W-/W+:  $\delta_{\text{PDF}} > 5\%$  for  $p_{T,V} < 1$  TeV  
(due to large uncertainties on u/d ratio at large Bjorken-x )

# Experimental closure tests in recent ATLAS & CMS monojet searches

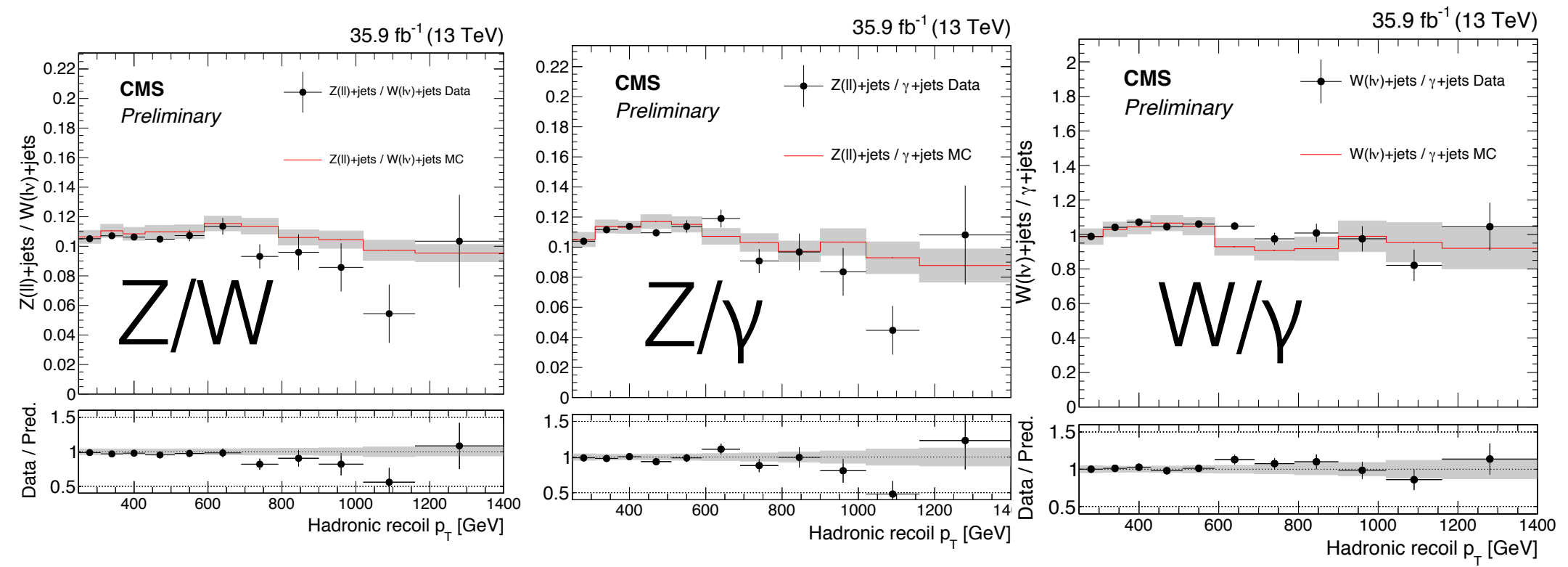
[ATLAS-CONF-2017-060]

[CMS PAS EXO-16-048]

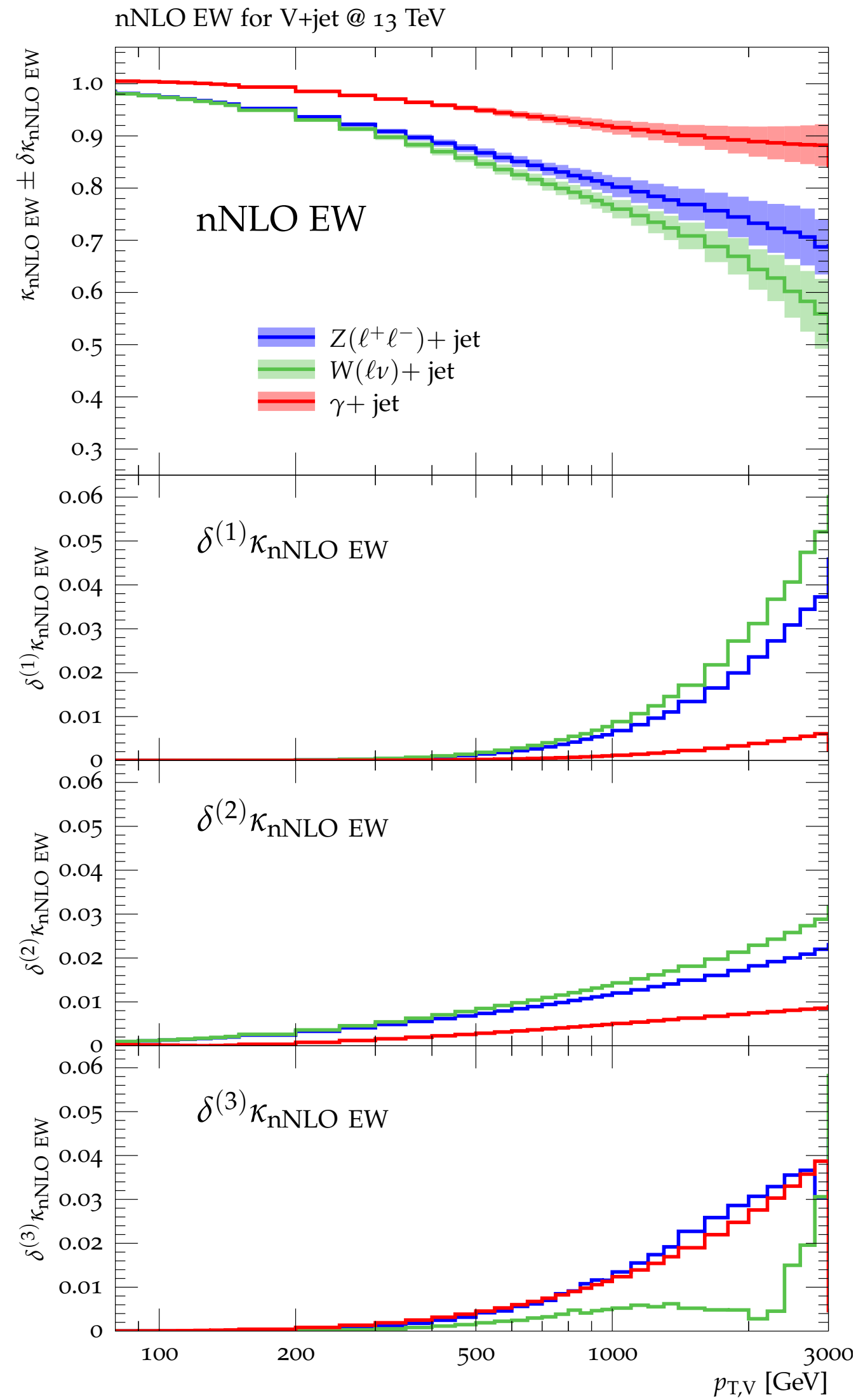
Nominals



Ratios



# Pure EW uncertainties



## nNLO EW corrections at 1 TeV

- ▶ -10% for  $\gamma$ +jets
- ▶ -20% for Z+jet
- ▶ -25% for W+jet

$$d\sigma_{EW} = \left[ 1 + \frac{\alpha}{\pi} \left( \delta_{\text{hard}}^{(1)} + \delta_{\text{Sud}}^{(1)} \right) + \left( \frac{\alpha}{\pi} \right)^2 \left( \delta_{\text{Sud}}^{(2)} + \delta_{\text{Sud}}^{(1)} \delta_{\text{hard}}^{(1)} + \delta_{\text{hard}}^{(1)} \delta_{\text{hard}}^{(1)} + \delta_{\text{hard}}^{(2)} \right) + \left( \frac{\alpha}{\pi} \right)^3 \left( \delta_{\text{Sud}}^{(3)} \dots \right) \right]$$

- 'higher-order Sudakov logs'

$$\delta^{(1)} \kappa_{EW}^{(V)}(x) = \frac{2}{3} \kappa_{NLO\ EW}^{(V)}(x) \kappa_{NNLO\ Sud}^{(V)}(x) \quad (\text{correlated})$$

Additional uncorrelated uncertainties:

- 'hard non-log NNLO EW effects I'

$$\delta^{(2)} \kappa_{EW}^{(V)}(x) = 0.05 \kappa_{NLO\ EW}^{(V)}(x) \quad (\text{uncorrelated})$$

$$\Leftrightarrow \delta_{\text{hard}}^{(2)} \leq \frac{0.05\pi}{\alpha} \delta_{\text{hard}}^{(1)} \simeq 20 \delta_{\text{hard}}^{(1)}$$

- 'hard non-log NNLO EW effects II'

$$\delta^{(3)} \kappa_{EW}^{(V)}(x) = \kappa_{NNLO\ Sud}^{(V)}(x) - \frac{1}{2} [\kappa_{NLO\ EW}^{(V)}(x)]^2 \quad (\text{uncorrelated})$$

estimate of typical size of  $\left[ \delta_{\text{hard}}^{(1)} \right]^2$  or  $\delta_{\text{hard}}^{(1)} \times \delta_{\text{Sud}}^{(1)}$ .