

# Pileup mitigation in CMS and ATLAS

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On behalf of CMS and ATLAS collaborations



# Why we care about PU

## It degrades analysis performance

Worse resolution

Induced fake objects (mainly PU origin jets)

## The amount of PU increases

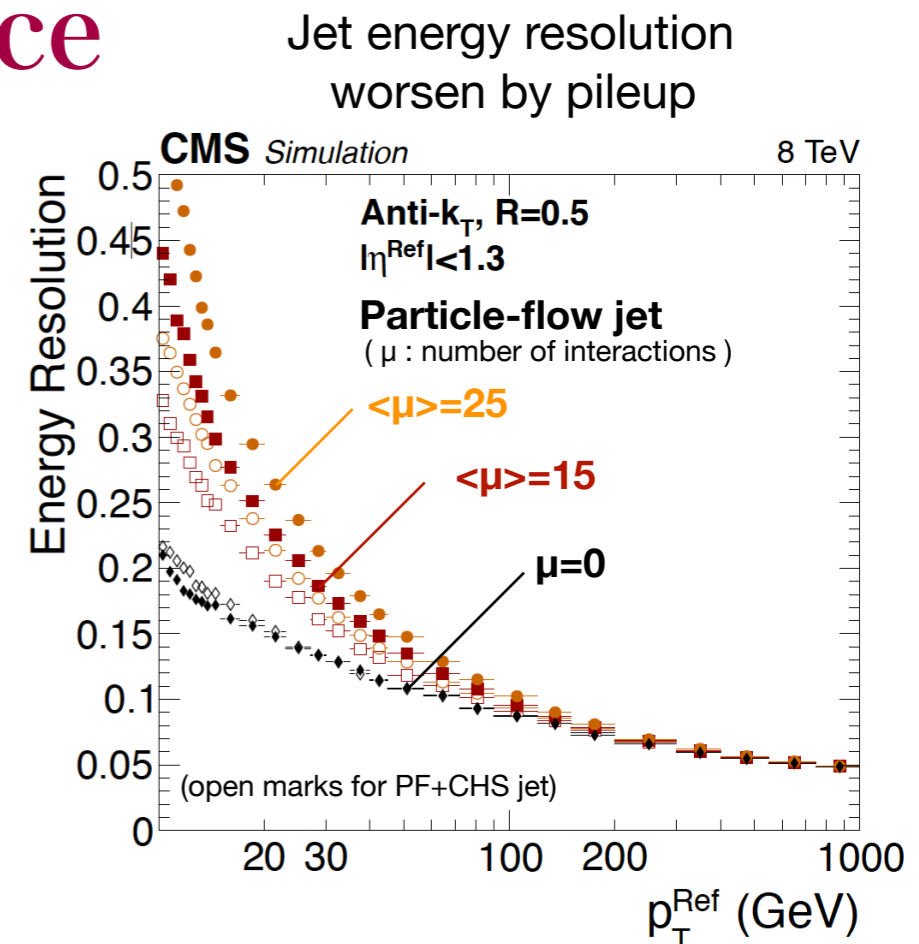
The amount of interaction per bunch crossing ( $\mu$ )

2015 :  $\langle\mu\rangle=14$

2018 :  $\langle\mu\rangle=38$ . tail up to 60.

HighLuminosity-LHC :  $\langle\mu\rangle=140-200$ .

We must be armed to minimize the impact of PU contamination, otherwise we spoil high statistics brought by LHC.



# Topics to be discussed

## Develop and improve PU mitigation techniques

PU mitigations at constituent level.

PU jet rejection using event topology.

## Upgrading detector to add information

Faster timing and higher granularity detectors for PU mitigation for HL-LHC

# PU mitigation at analysis level

## At reconstruction of constituents

Calorimeter cells  $\rightarrow$  clusters 

Low energy cells below PU fluctuation cannot be cluster seeds.

Particle flow 

Combine information from sub-detectors as particle flow objects, and reject charged particles from PU (Charged Hadron Subtraction, CHS)

## After jet reconstruction

# PU mitigation at analysis level

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## After jet reconstruction

PU offset subtraction  

Calibration energy offset based on jet area.

$$P_T^{\text{corr}} = P_T - \rho \times A$$

$\rho$  : offset energy density

$A$  : jet area

PU jet rejection

Jet vertex fraction (JVF) in central region.

$$\text{JVF}(\text{jet}^i) = \frac{\sum_m P_T^m(\text{track} \in \text{jet}^i, \text{from LV})}{\sum_m P_T^m(\text{track} \in \text{jet}^i, \text{from LV} + \text{PU})}$$



MVA PU jet ID exploiting jet shape in central and forward regions. 

# PU mitigation at analysis level

## At reconstruction of constituents

Calorimeter cells → clusters 

Low energy cells below PU fluctuation cannot be cluster seeds.

**More PU subtraction at constituent level**

**Deploy particle flow**

Particle flow 

Combine information from sub-detectors as particle flow objects, and reject charged particles from PU (Charged Hadron Subtraction, CHS)

**"PUPPI" on top of particle flow**

## After jet reconstruction

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**PU jet rejection in forward region**



MVA PU jet ID exploiting jet shape in central and forward regions. 

# PU mitigation at constituent level

Can be better than mitigation at jet level.

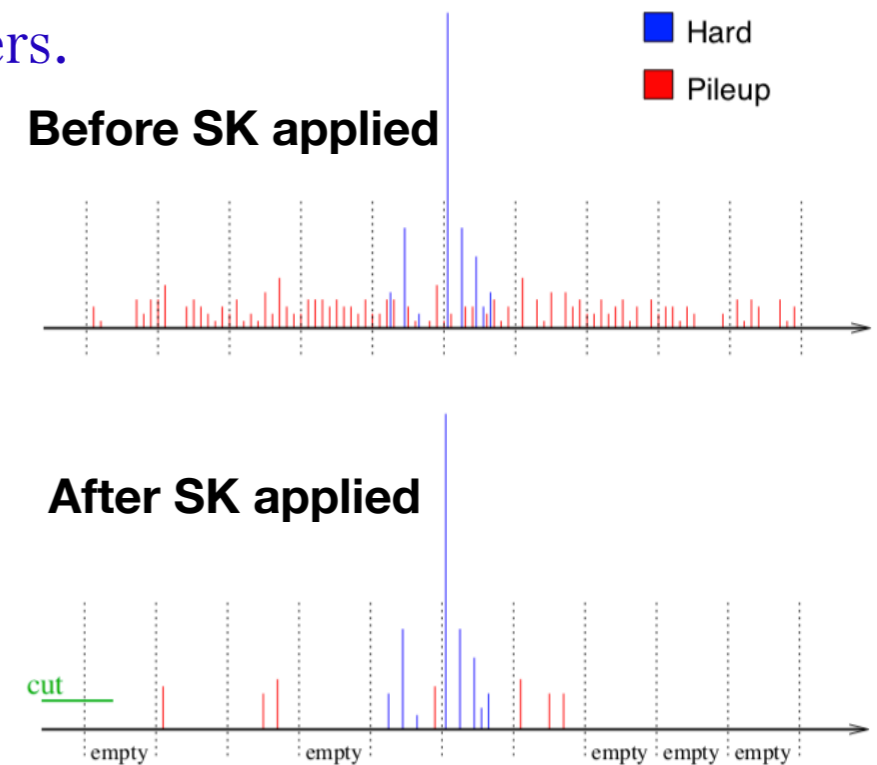
In ATLAS, the following four techniques are tested with clusters.

## 1. SoftKiller(SK)

- Remove low energy cluster below a threshold = soft.
- Set a grid on eta-phi space, and determine the threshold so that half of bins are empty.
- Grid size is optimized based on JER.

## 2. Constituent Subtraction (CS)

- Scatters “ghost” particles with  $P_T = -0.01\rho$  on  $\eta \times \phi = 0.1 \times 0.1$  grid.
- $\rho$  : offset energy density, same as the one used for jet-area correction
- Merged with nearby( $<R_{\max}$ ) clusters until all negative energy is completely absorbed.
- The maximum distance  $R_{\max}$  is optimized base on JER.



# PU mitigation at constituent level

## 3. Voronoi subtraction

Application of idea of jet-area correction to clusters.  
Cluster area is defined as area of Voronoi cell.

$$P_T^{\text{cluster, corr}} = P_T^{\text{cluster}} - \rho \times A_{\text{Voronoi cell}}^{\text{cluster}}$$

$\rho$  : offset energy density, same one used in jet-area correction.

Negative energies are either ignored or spread to their neighbors.

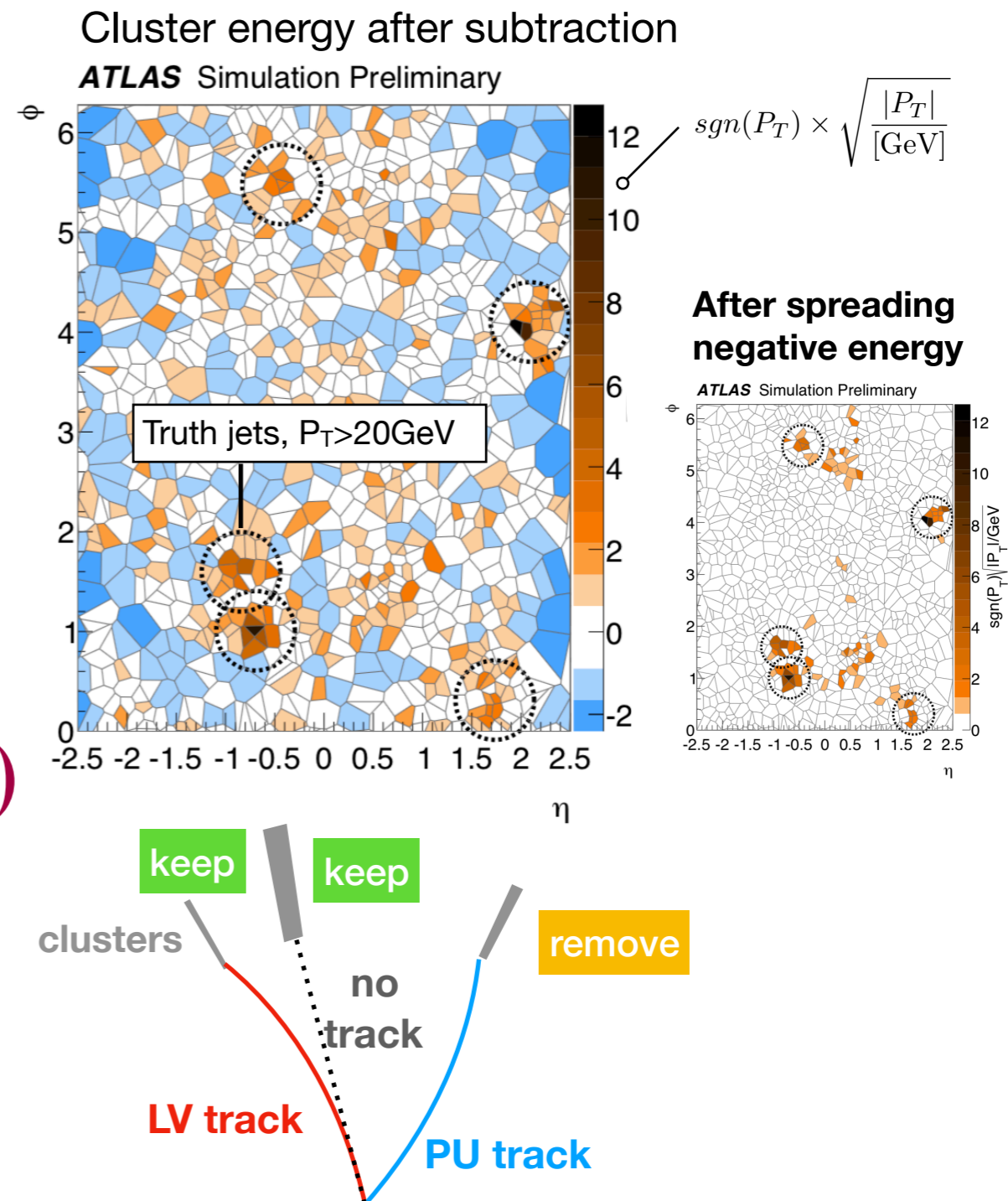
## 4. Cluster Vertex Fraction (CVF)

Application of idea of JVF to clusters.

Remove low  $P_T$  clusters **matched to a PU track**.

Usually zero or only one track from either LV or PU is associated to one cluster.

$P_T$  threshold is optimized based on JER





# Resolution with mitigation techniques

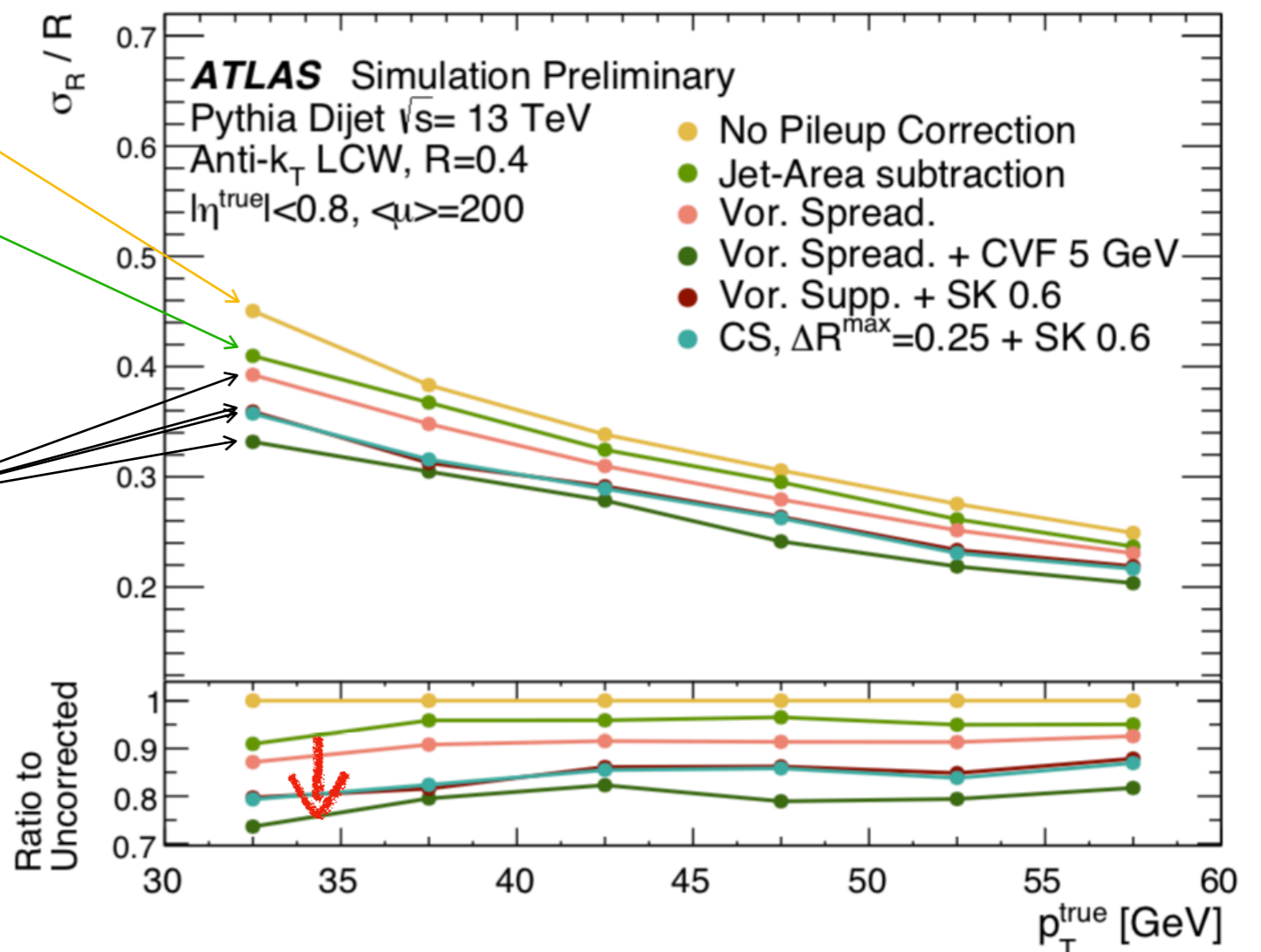
## Jet energy resolution in 200 PU events

No pileup correction  
 Correction after jet reconstruction,  
 based on jet-area  
 (current standard method)

$$P_T^{\text{corr}} = P_T - \rho \times A$$

Corrections at constituent level

PU mitigation at constituent  
 level gains resolution by ~20%

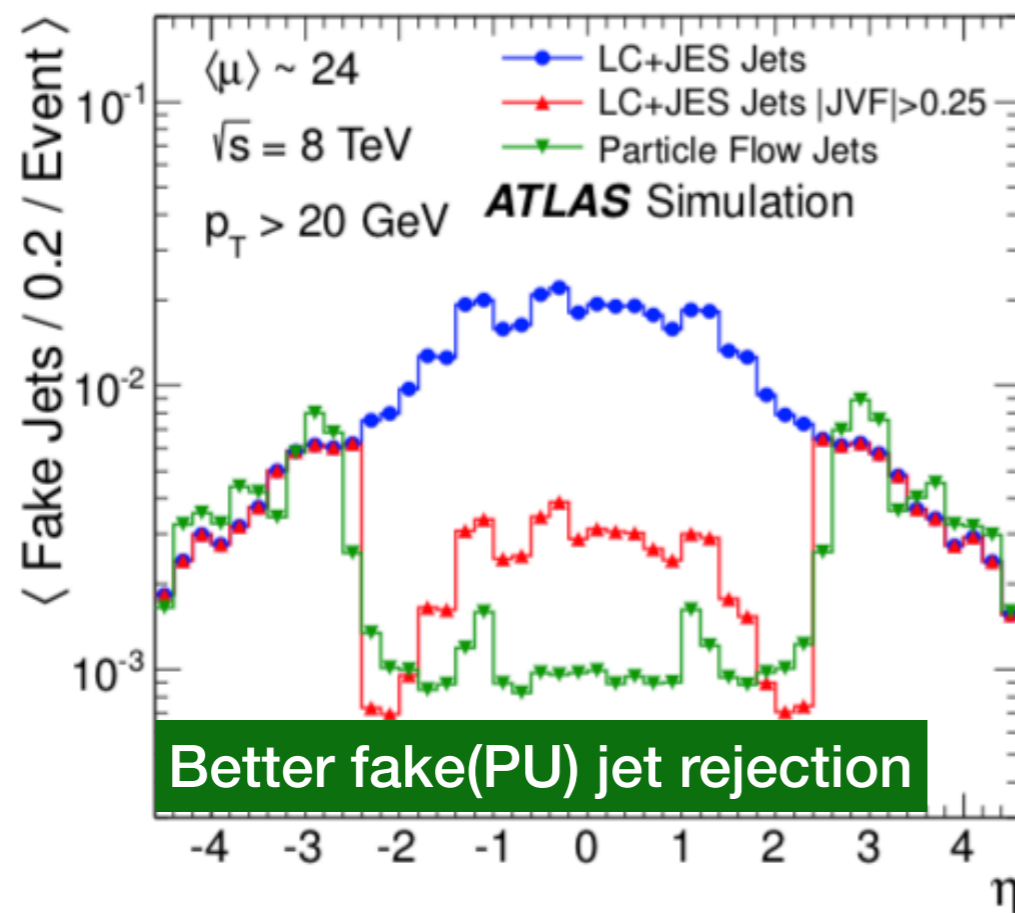


# Particle flow and PU jets

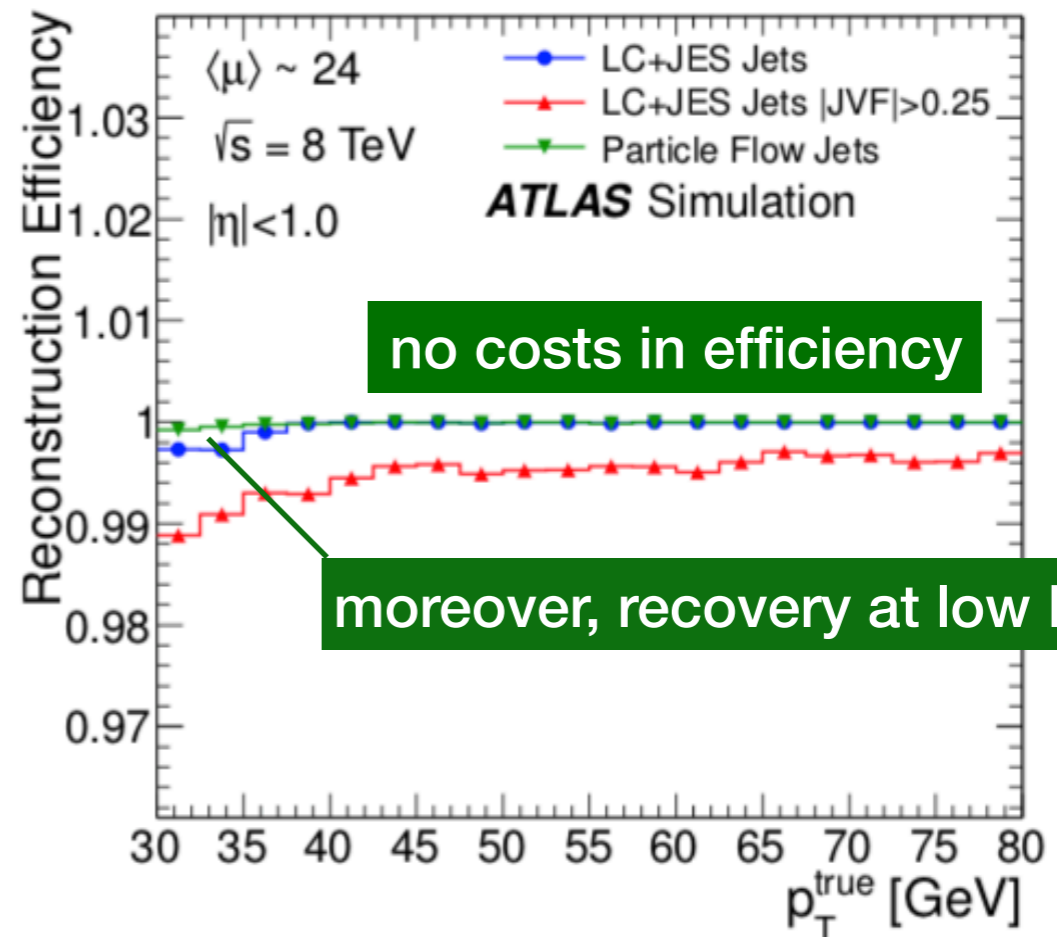
Traditionally, ATLAS has been using calorimeter and tracking information separately. Particle-flow algorithm combines the two.

Tracking information helps measurement of low energy objects, providing vertex information.

Amount of "fake"(PU origin) jets



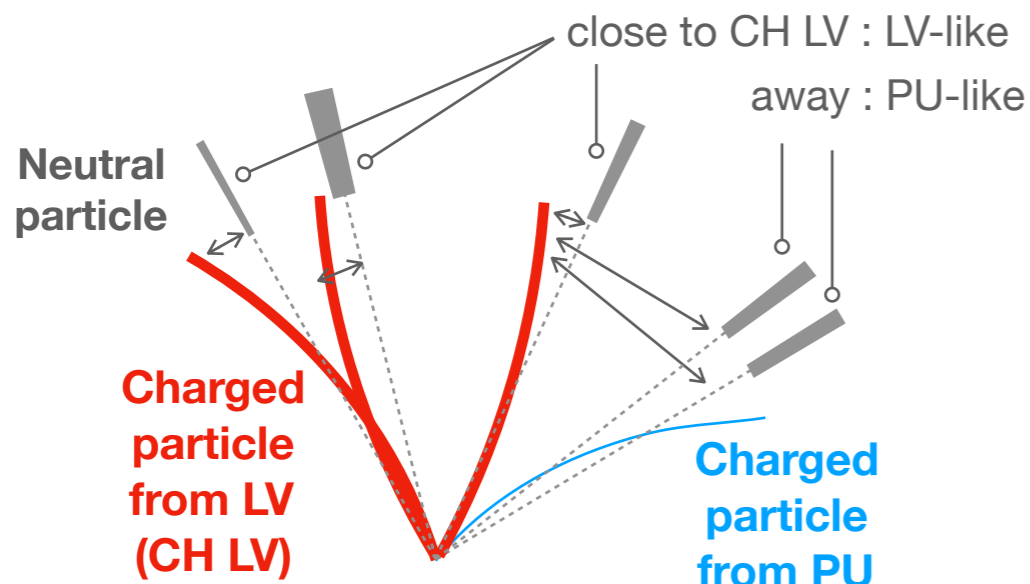
Reconstruction efficiency of "real" jet



# PUPPI in CMS

PileUp-Per-Particle-Identification (PUPPI) mitigate PU for neutral particle-flow particles

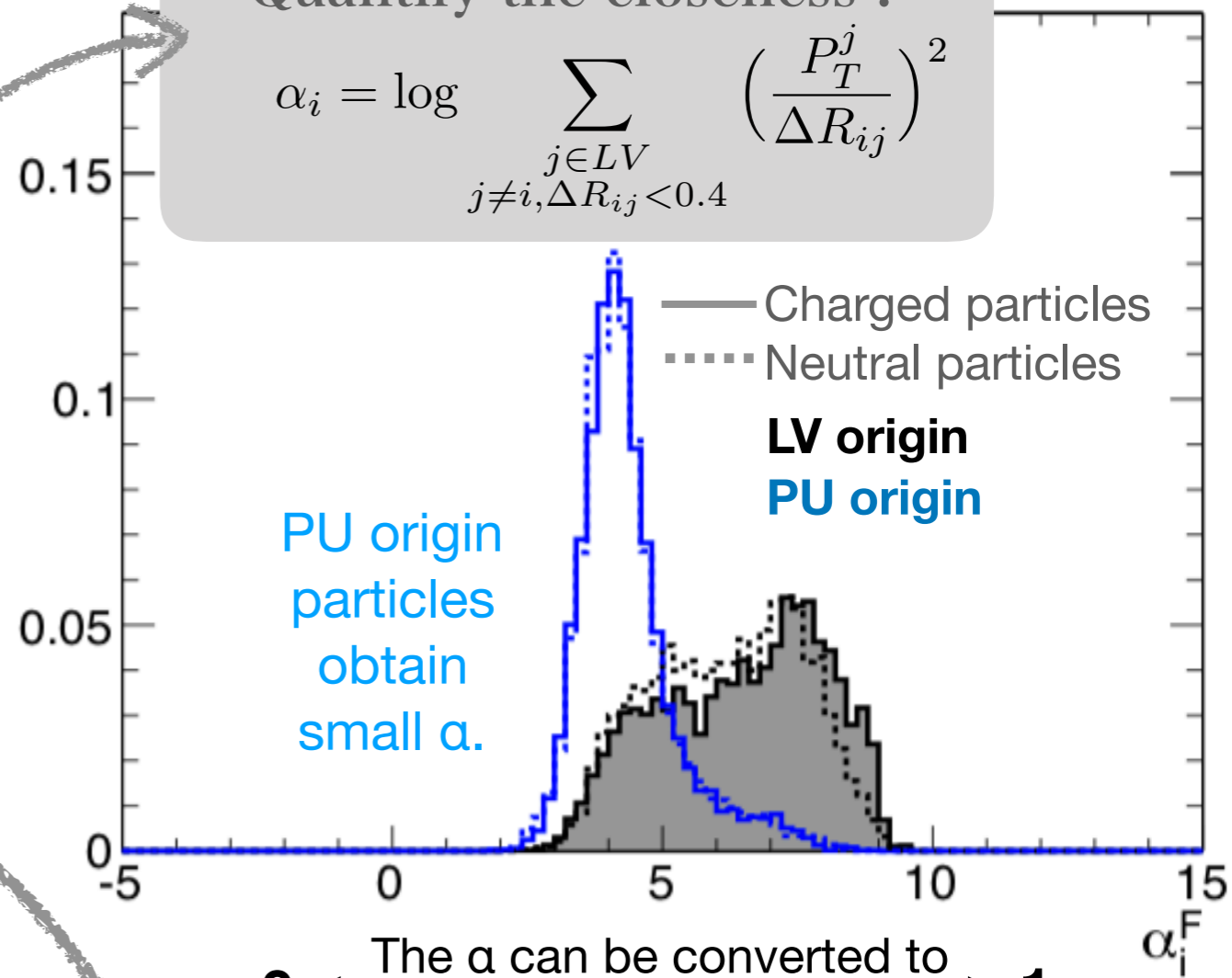
Point : closeness to LV charged particles



fraction of particles

Quantify the closeness :

$$\alpha_i = \log \sum_{\substack{j \in LV \\ j \neq i, \Delta R_{ij} < 0.4}} \left( \frac{P_T^j}{\Delta R_{ij}} \right)^2$$



PU subtraction is done by :

$$P_T^{i, \text{PUPPI}} = P_T^i \times \omega_{\text{PUPPI}}(\alpha^i)$$

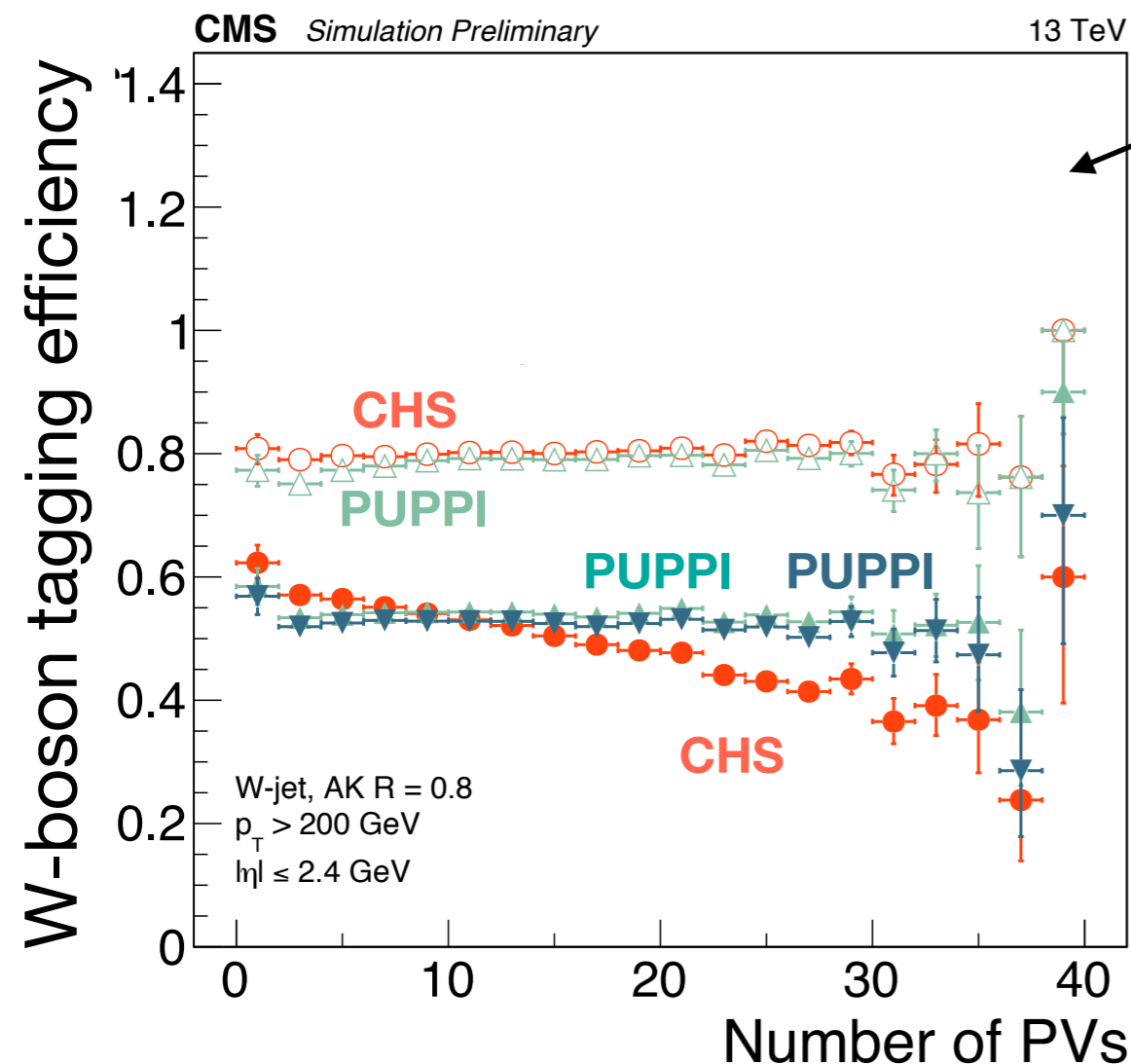
PUPPI is extendable to the forward region by taking the sum in the metric  $\alpha$  for all particles.

The  $\alpha$  can be converted to  
 0 ← PU-like      PUPPI weight  $\omega$       → 1 LV-like

# PUPPI and boosted objects

## PUPPI works especially for jet substructure

Large cone jets (e.g. ak8) are used for tagging boosted heavy particles like W-bosons. Substructure of jets such as mass and subjettness are sensitive to PU.



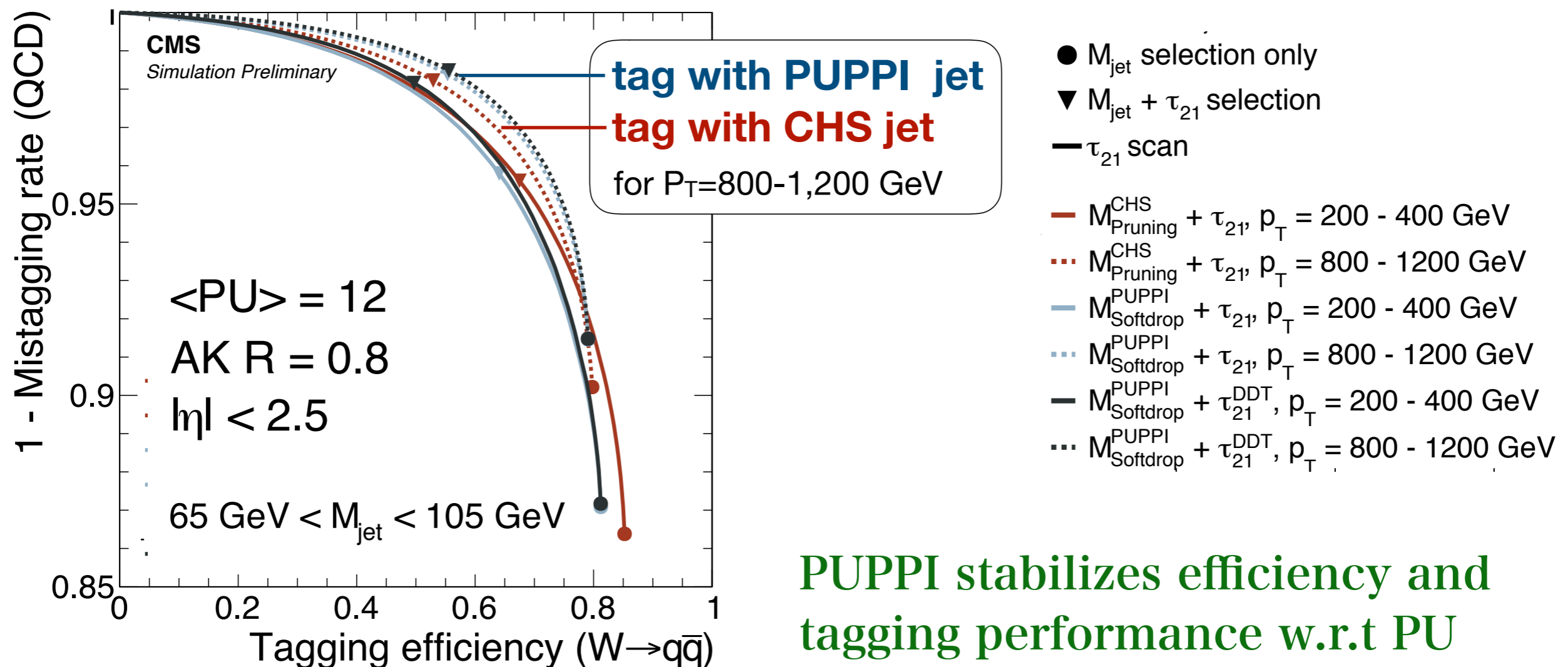
### W-tagging performance of two types of jet at various working points

- CHS ○  $65 \text{ GeV} < M_{\text{Pruned}}^{\text{CHS}} < 105 \text{ GeV}$
- PUPPI △  $65 \text{ GeV} < M_{\text{Softdrop}}^{\text{PUPPI}} < 105 \text{ GeV}$
- CHS ●  $65 \text{ GeV} < M_{\text{Pruned}}^{\text{CHS}} < 105 \text{ GeV} + \tau_{21} \leq 0.45$
- PUPPI ▲  $65 \text{ GeV} < M_{\text{Softdrop}}^{\text{PUPPI}} < 105 \text{ GeV} + \tau_{21} \leq 0.4$
- PUPPI ▼  $65 \text{ GeV} < M_{\text{Softdrop}}^{\text{PUPPI}} < 105 \text{ GeV} + \tau_{21}^{\text{DDT}} \leq 0.52$

# PUPPI and boosted objects

## PUPPI works especially for jet substructure

Large cone jets (e.g. ak8) are used for tagging boosted heavy particles like W-bosons. Substructure of jets such as mass and subjettiness are sensitive to PU.



PUPPI stabilizes efficiency and tagging performance w.r.t PU

# PUPPI MET

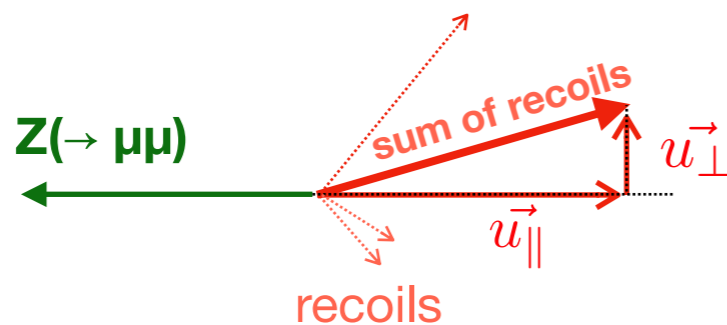
The standard MET is defined as

$$\text{MET} = - \sum_{i=\text{PF particles}} \vec{P}_T^i$$

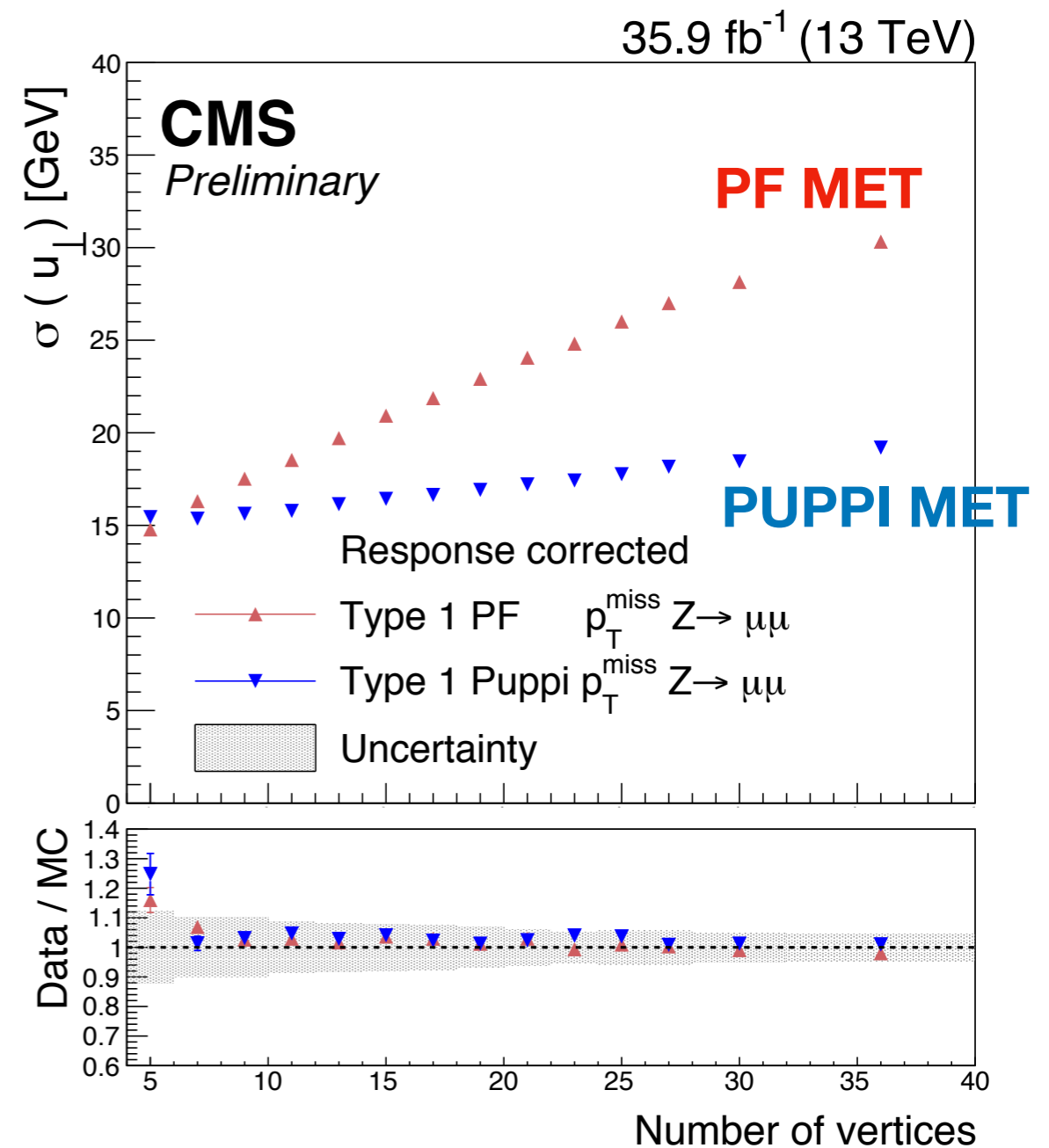
PUPPI MET calculates it with PUPPI weight  $\omega$ .

$$\text{PUPPI MET} = - \sum_{i=\text{PF particles}} \vec{P}_T^i \omega^i$$

Performance evaluation in DY events



- Precisely reconstructed  $Z(\rightarrow \mu \mu)$  can be used to evaluate recoil measurement.
- $\sigma(u_{\perp})$  and  $\sigma(u_{\parallel})$  represent  $\sigma(\text{MET})$ .



**PUPPI provides stabler and better performance.**

# PUPPI muon isolation

Isolation is also affected by PU.

It is defined as  $P_T$  sum of surrounding particles.

Used to distinguish prompt lepton from non-prompt  
CHS works, but neutral PU particles remains.

One of standard methods :  
 $\delta\beta$ -correction

Estimates the amount of neutral from PU from  
charged from PU.

$$\delta\beta \text{ iso} = \sum_{dR < 0.4}^{\text{Charged, LV}} P_T^i + \max\left(0, \sum_{dR < 0.4}^{\text{neutrals}} P_T^i - \frac{1}{2} \sum_{dR < 0.4}^{\text{Charged, PU}} P_T^i\right)$$

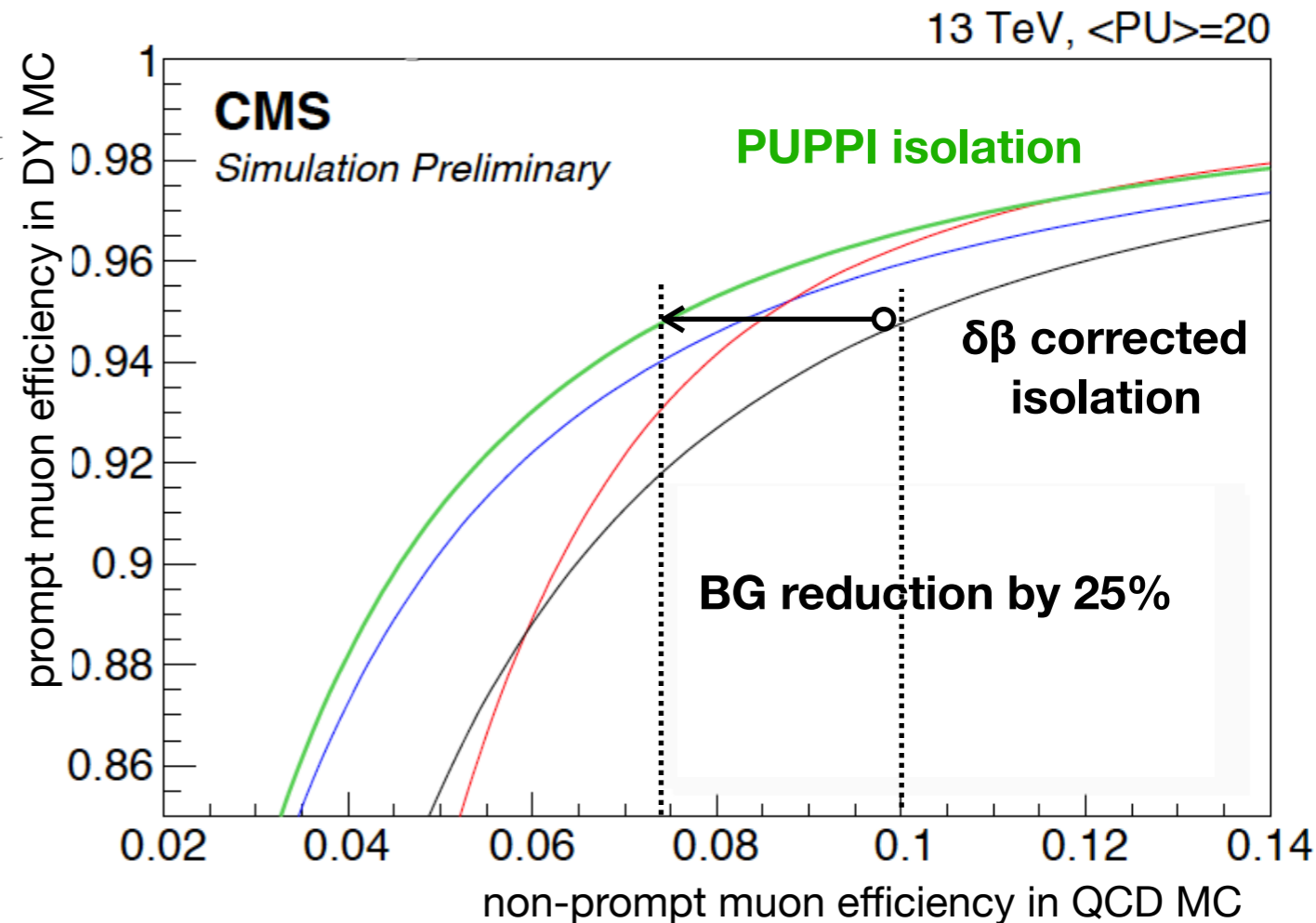
(1/2 comes from isospin limit)

PUPPI muon isolation

subtracts PU contamination at constituent level.

$$\text{PUPPI iso} = \sum_{dR < 0.4}^{\text{Charged, LV}} P_T^i + \sum_{dR < 0.4}^{\text{neutrals}} P_T^i \omega_i$$

by PUPPI weight



Tested also for LH-LHC

PUPPI muon isolation does not show breakdown  
at  $\text{PU} = 200$ .

(figure in backup slide)

# Forward PU jet rejection

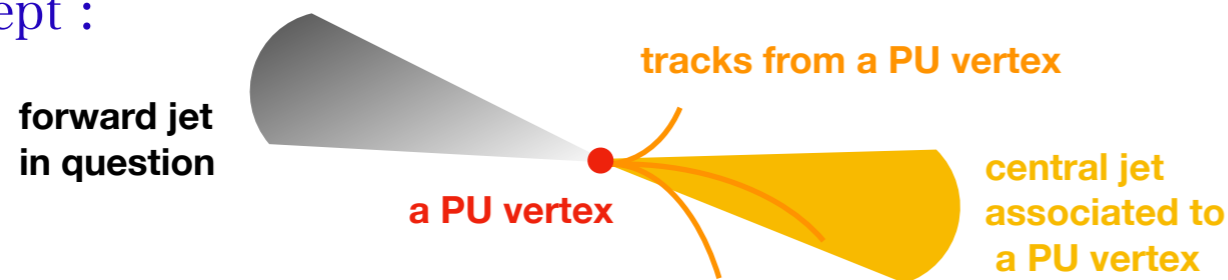
## Important but not easy

Forward jets are an important signature - e.g. VBF, VBS

PU jet rejection in the forward region is not easy since tracking is not available beyond  $|\eta| \sim 2.5$ .

## Exploit $P_T$ balance for each PU vertex

Concept :



In case of good  $P_T$ -balance,  
the forward jet likely from the PU vertex

First, define momentum missing from a PU vertex

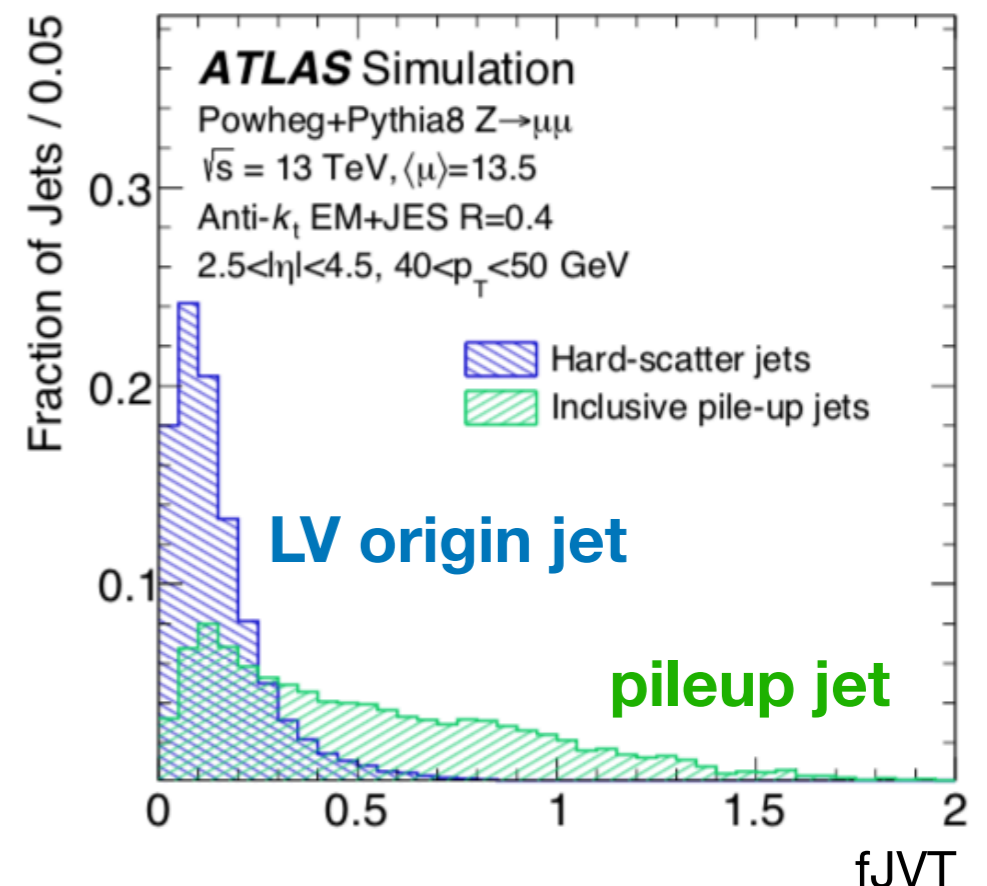
$$\langle \vec{P}_{T,i}^{\text{miss}} \rangle = -\frac{1}{2} \left( k \sum_{\text{tracks} \in \text{PV}_i} \vec{P}_T^{\text{track}} + \sum_{\text{jets} \in \text{PV}_i} \vec{P}_T^{\text{jets}} \right)$$

And define a discriminant : forward Jet Vertex Tagger (fJVT)

$$fJVT_i = \frac{\langle \vec{P}_{T,i}^{\text{miss}} \rangle \cdot \vec{u}_T^{\text{forward jet}}}{|P_T^{\text{forward jet}}|}$$

$u_T$  : unit vector of the  $P_T$  of the forward jet.  
denominator for normalization

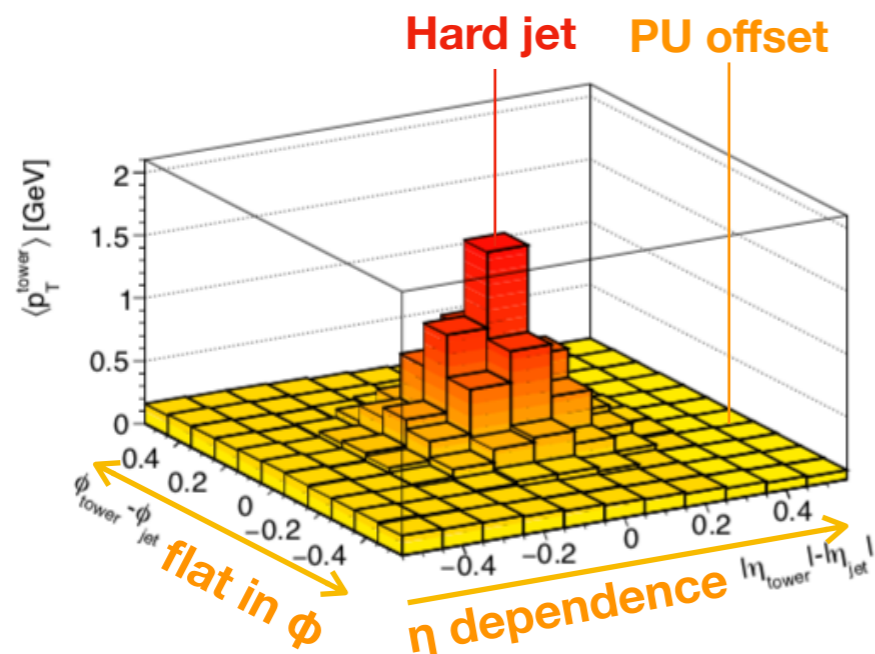
In case of  $P_T$ -balance, large tagger value.





# Forward PU jet rejection

Better indicator for forward jet energy

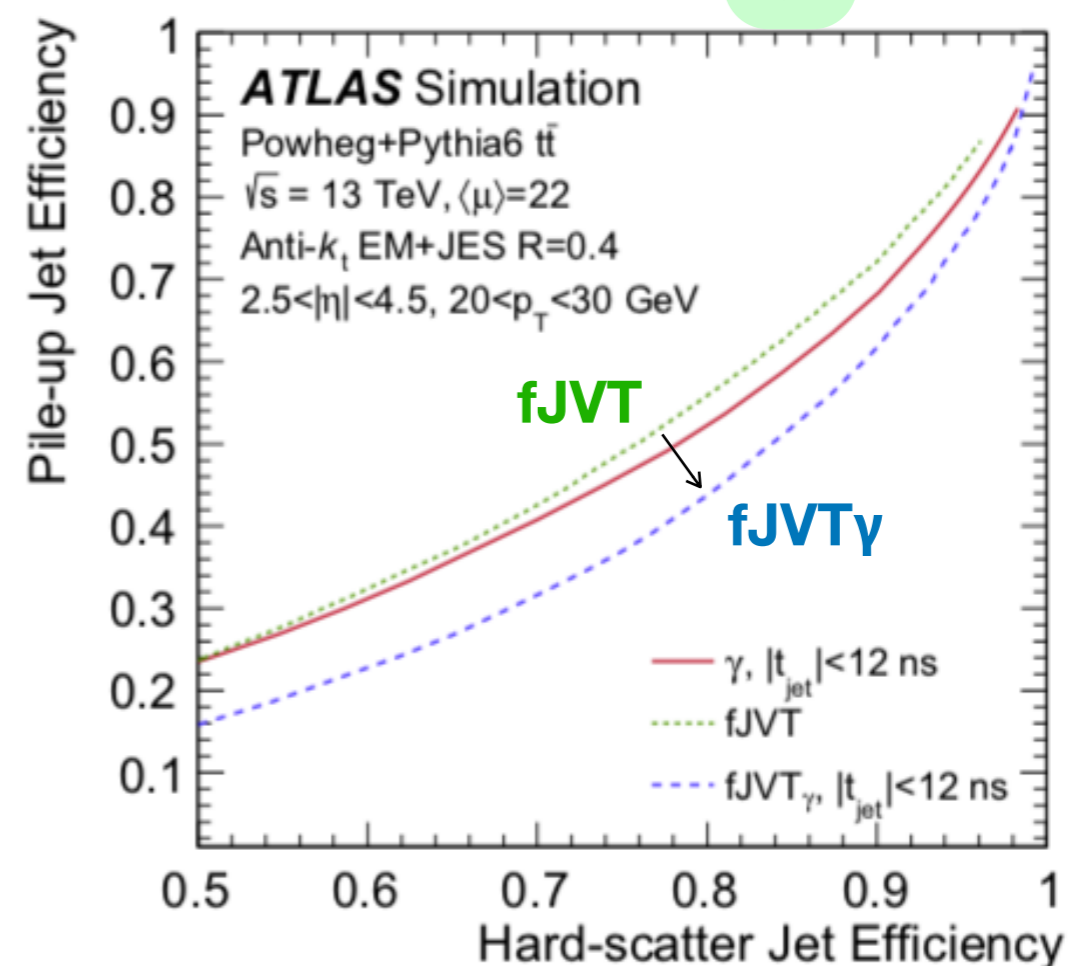


Redefine the tagger :

$$fJVT_{\gamma} = \frac{\langle P_{T,i}^{\text{miss}} \rangle \cdot u_T^{\text{forward jet}}}{\gamma}$$

$$F = \underbrace{\alpha + \beta \Delta\eta}_{\text{PU offset terms}} + \underbrace{\gamma \exp\left[-\frac{(\Delta\eta/0.1)^2 + (\Delta\phi/0.1)^2}{2}\right]}_{\text{2D-gaussian}}$$

$\gamma$  does not mean directly  $P_T$  or energy, but it represents magnitude of the energy of pure hard jet.



# Detector Upgrade for higher luminosity

To handle high PU of HL-LHC, need to add information in data.

Increase granularity and coverage:

Inner tracker of both experiments will be extended to  $|\eta|=4.0$  with finer pixels.

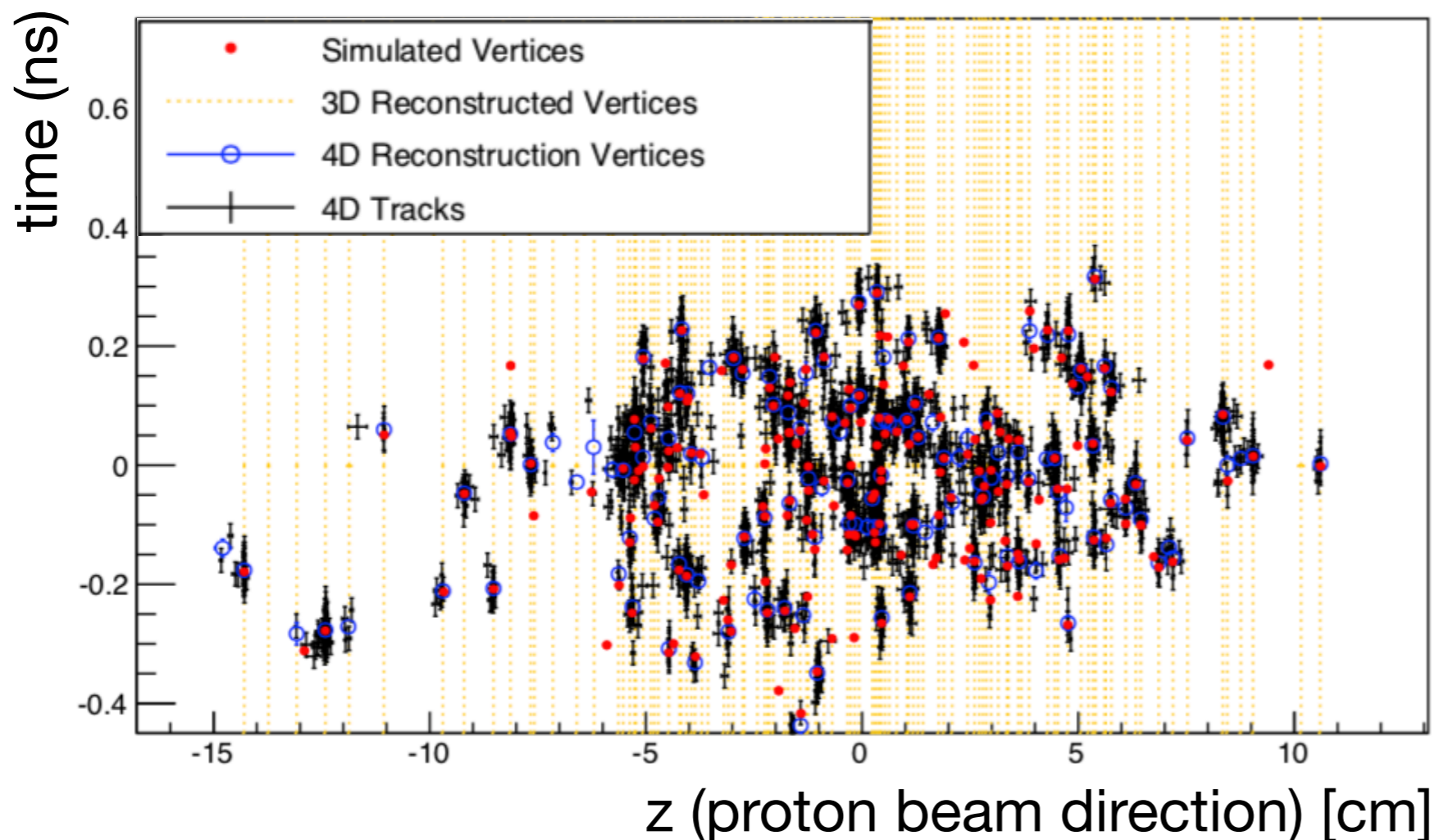
High granularity calorimeters : HGCal in CMS, sFCal in ATLAS.

Pico-second timing detectors in both experiments.

# Timing information for PU rejection

## 4D vertex reconstruction by adding time information

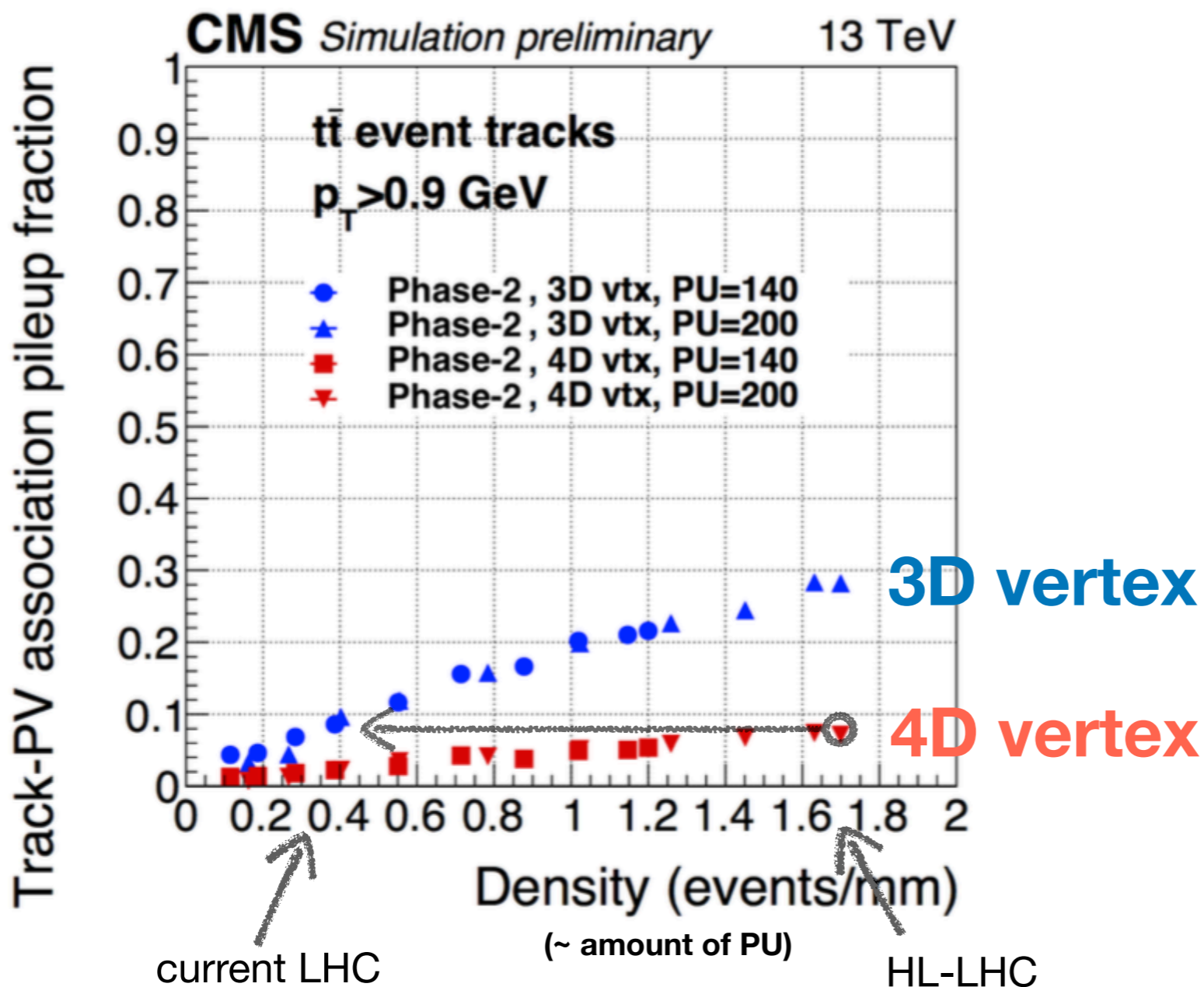
Vertex positions of simulated 200 interactions



- **3D reconstruction** cannot distinguish **two vertices** on the same z.
- **4D reconstruction** can.
  - Interactions spread in time, RMS  $\sim 200$ ps.
  - Having **time resolution of 30ps**, "effective PU" is reduced to current LHC-level

# Timing information for PU rejection

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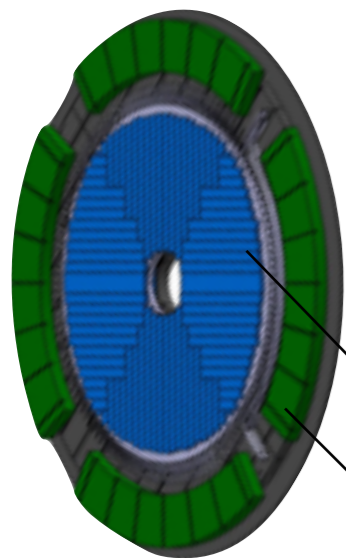


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# Timing dedicated sub-detectors

Aiming at  $O(30)$ ps precision timing for MIPs.

## ATLAS : High-Granularity Timing Detector



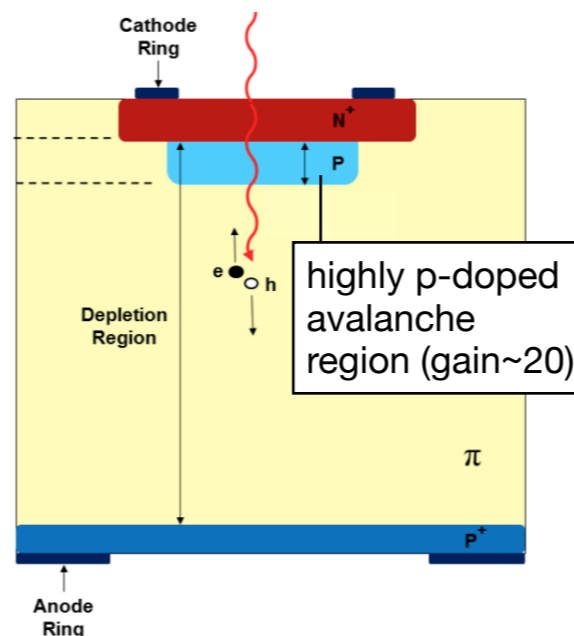
$$2.4 < |\eta| < 4.0$$

In front of the Endcap calorimeter cryostat

2-4 layers of sensors + ASIC  
Peripheral electronics

Low Gain Avalanche Detector (LGAD)

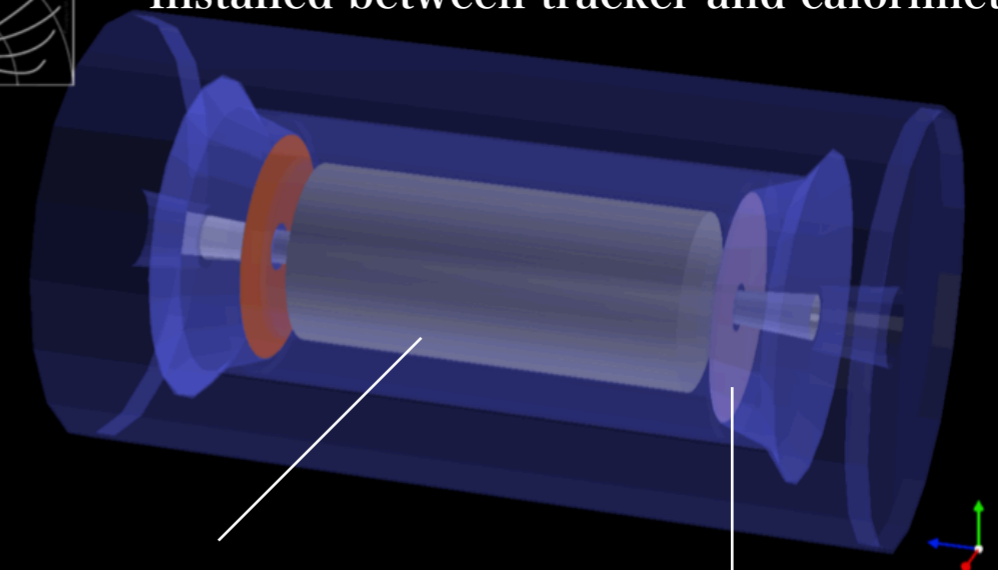
50um thickness,  
1.3x1.3mm<sup>2</sup> pixels



## CMS : MIP Timing Detector



Installed between tracker and calorimeter.



$$0 < |\eta| < 1.48$$

LYSO:Ce

12x12mm<sup>2</sup>,

~3mm thickness

SiPM readout

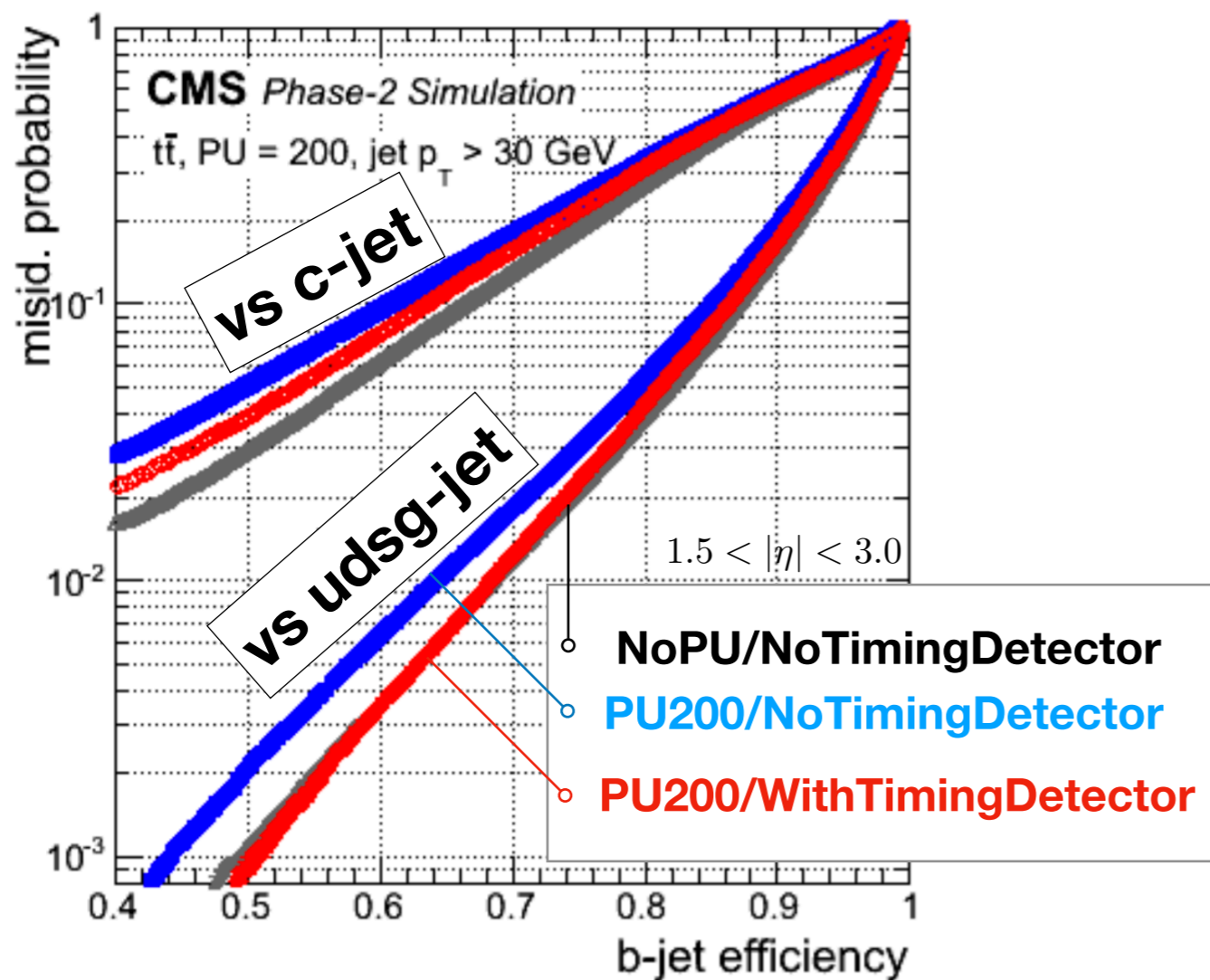
$$1.6 < |\eta| < 2.9$$

3mm<sup>2</sup> LGAD

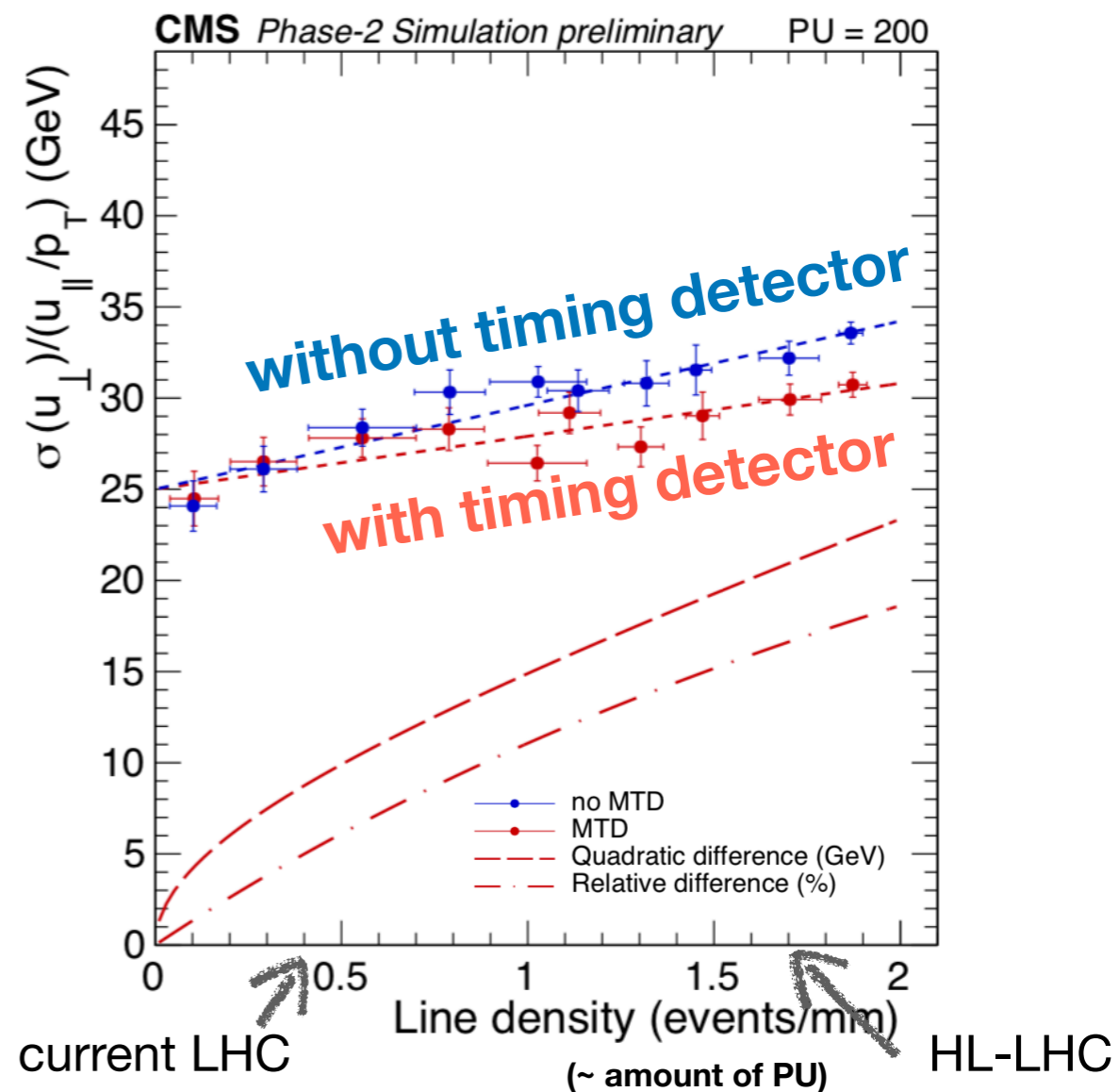
(same technology choice as ATLAS)

# Improvement by timing information

## b-tagging performance



## MET resolution



The timing detectors mitigate the impact of 200 PU, and those improvements propagate to analysis performance.

# Summary

**As PU increases, more powerful PU mitigation is required.**

**More and more sophisticated techniques deployed.**

- Various PU mitigations at constituent level improve JER by 20% at PU=200 compared to mitigation at jet level only.
- Particle-flow (ATLAS) and PUPPI with particle-flow (CMS) deployed.
- Forward PU ID tagging with PT balance is promising.

**Improvement from detector side is also mandatory.**

Timing detector with 30 ps resolution— HGTD in ATLAS and MTD in CMS —will reduce the impact of PU at HL-LHC to the current level.

**By combining of the efforts from the two sides, we will be able to fully exploit the high statistics LHC data up to 200 PU.**

# Pileup modelling and mitigation at the LHC

## A theorist's view

Matteo Cacciari  
LPTHE Paris  
Université Paris Diderot



# The challenge

Events in proton-proton often contain many particles (underlying event, pileup, ...) largely **unrelated** with the the hard collision of interest

From the point of view of a jet, this translates into **soft, large-angle radiation** unrelated with its fundamental structure, that one must remove in order to facilitate **precision measurements**, and/or **tag** relevant features

(aim: limit contamination from background while retaining bulk of perturbative radiation)

In order to mitigate pileup, you can

**subtract**, or

**groom**, or

**(machine) learn.**

(Or any combination of these)

See review  
by G. Soyez,  
1801.09721

# Subtraction

The estimated contamination from pileup (or underlying event) is **subtracted directly at the observable level** (e.g. the  $p_t$  of a jet or the value of a jet shape)

▶ Examples:

- ▶  $p_t^{\text{sub}} = p_t^{\text{raw}} - \rho A$  (MC, Salam 0707.1378)
- ▶ Analytical calculations of susceptibility for selected jet shapes (Sapeta et al. 1009.1143, Alon et al. 1101.3002)
- ▶ Moments of jet fragmentation functions (MC, Quiroga, Salam, Soyez, 1209.6086)
- ▶ Generic (numerical) approach to susceptibility determination for any shape (Soyez et al. 1211.2811)
- ▶ Cleansing (Krohn, Schwartz, Low, Wang, 1309.4777)
- ▶ Neutral-proportional-to-Charged (MC, Salam, Soyez 1404.7353)
- ▶ ....

## Grooming

Action is taken directly **at the constituent level**.

Declustering or clustering differently in case of a jet,  
or acting on the full event at the particle level.

**NB.** I am now **extending** the “grooming” nomenclature (see Marzani’s talk) to pileup mitigation methods that act directly at the level of the constituents (i.e. particles, calorimeter cells, tracks,...)

► Examples:

- MDT/Filtering (Butterworth et al. 0802.2470), trimming (Krohn, Thaler, Wang, 0912.1342), pruning (S.Ellis et al, 0903.5081), Soft Drop (Larkoski, Marzani, Soyez, Thaler, 1402.2657)
- CMS Voronoi method (Lai, unpubl., circa 2013)
- Constituent Subtraction (Berta, Spousta, Miller, Leitner, 1403.3108)
- PUPPI (Bertolini, Harris, Low, Tran, 1407.6013)
- SoftKiller (MC, Salam, Soyez, 1407.0408)
- VoronoiKiller (Salam, Soyez, unpubl. 1801.09721), Voronoi Subtraction (ATLAS-CONF-2017-065)
- ....

## Machine Learning

**Machine learning** (a.k.a. artificial intelligence) techniques are used to **perform a regression task**, estimating the pileup and subtracting the **expected contamination**

(NB this is different from - and ostensibly harder than - a classification task, used for instance in tagging. Classification estimates a 'label', regression estimates a 'quantity')

▶ Examples:

- ▶ A number of papers studying classification tasks, aiming at tagging and quark/gluon discrimination ([1511.05190](#), [1603.09349](#), [1609.00607](#), [1701.08784](#), [1612.01551](#),...)
- ▶ Pileup mitigation with Machine Learning (PUMML) ([Komiske et al. 1707.08600](#))
- ▶ California Science & Engineering Fair project (high school students) ([Milan Ganai, http://csef.usc.edu/History/2018/Projects/S1807.pdf](#))
- ▶ ...

# Subtraction

## Noise Subtraction from Jets using Jets

Matteo Cacciari and Gavin Salam

LPTHE - Paris 6,7 and CNRS

Two alternative (complementary?) paths:

- Subtract at detector level before/during clustering
- Subtract at jets level after clustering

Early hint of separation  
between 'grooming' and  
'subtraction' approaches

First introduced  
at Les Houches 2007.  
Also called 'area-median'

### Subtraction

- A proper operative definition of **jet area** can be given
- When a hard event is superimposed on a **roughly uniformly distributed background**, study of **transverse momentum/area** of each jet allows one to determine the noise density  $\rho$  (and its fluctuation) on an event-by-event basis
- Once measured, the background density can be used to correct the transverse momentum of the hard jets:

$$p_T^{\text{hard jet, corrected}} = p_T^{\text{hard jet, raw}} - \rho \times \text{Area}_{\text{hard jet}}$$

NB. Procedure fully data driven.  
No Monte Carlo corrections  
needed in principle

Two components:

1. Determine  $\rho$ , the pileup transverse momentum density
2. Subtract  $\rho A$  from the jet  $p_t$

The second step is **exact**, because the **jet area** is defined (and calculated) as the **susceptibility** of a jet's  $p_t$  to contamination from an approximately uniform background

This can lead to an **unbiased** subtraction<sup>(\*)</sup> **IF**  $\rho$  has been estimated correctly. This makes area subtraction a convenient benchmark that other methods can compare to.

(\*) Up to backreaction effects ([0802.1188](#))



Initial suggestion for  $\rho$  estimation:  $\rho \equiv \text{median} \left[ \left\{ \frac{p_t^{jet}}{\text{Area}_{jet}} \right\} \right]$  Median over patches of reasonable size'

Potential issues :

- jets must be kt or C/A. Hence need to recluster if using anti-kt ==> time consuming
- $\rho$  varies slightly over the phase space, in rapidity and (in case of flow in heavy ion collisions) also azimuth

Solution exist since a long time:

- Use FastJet's `GridMedianBackgroundEstimator`, it uses patches and does not cluster ==> much faster
- rescale  $\rho$  with appropriate rapidity or azimuth variation to compensate for known variations

These fixes can improve considerably the performance of area subtraction. Nevertheless, new methods are often compared to naive area subtraction, possibly artificially enhancing their own improvements

# Beyond transverse momentum

$p_t - \rho_A$  only applies to transverse momentum subtraction.  
What about other observables (e.g. jet shapes?)

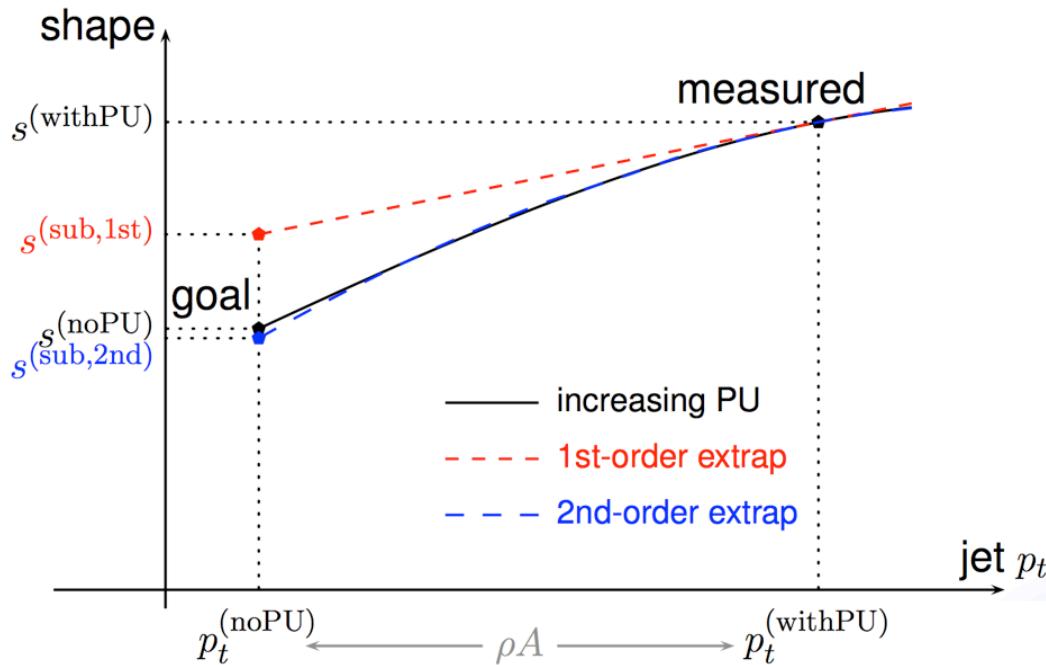
- One can calculate effect of pileup contamination for individual observables (Sapeta et al. 1009.1143, Alon et al. 1101.3002, MC, Quiroga, Salam, Soyez, 1209.6086, ...).

Time consuming and potentially complicated

- Alternatively, generalise the  $\rho_A$  subtraction method (Soyez et al, 1211.2811)

# Numerical jet shape correction

Soyez et al. [211.2811]



A generic **jet shape**  
(a function of the momenta of all  
constituents of a jet) is modified  
by the addition of pileup

Correct it by calculating numerically the derivatives that enter its Taylor expansion and subtracting (this generalises the jet area/median subtraction for transverse mom.)

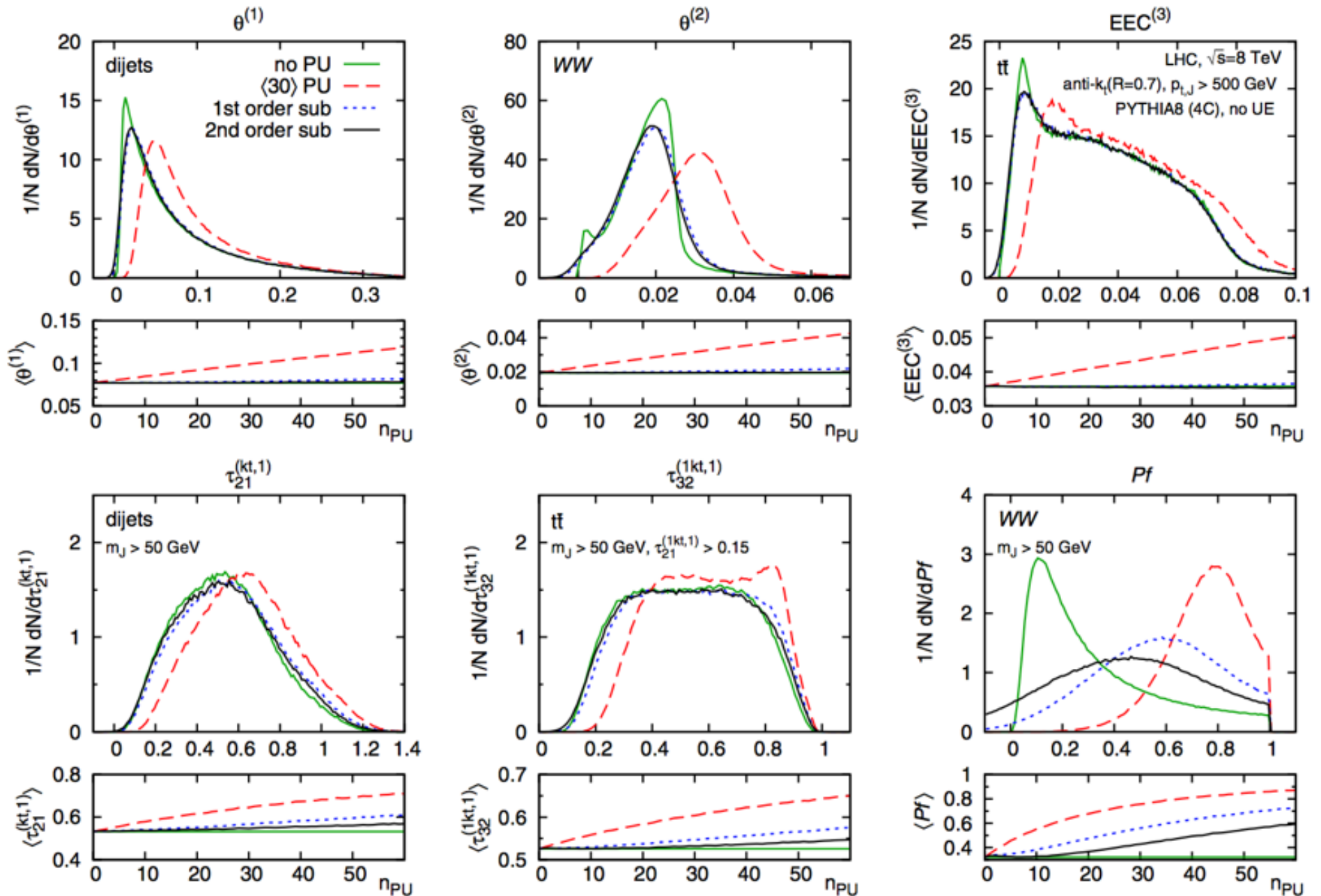
$$V_{\text{jet,sub}} = V_{\text{jet}} - \rho V_{\text{jet}}^{[1]} + \frac{1}{2} \rho^2 V_{\text{jet}}^{[2]} + \dots$$

Pileup momentum density
Numerical derivatives w.r.t. ghosts momenta

[Actual formula slightly more complex due to taking into consideration the possibility of having massive particles in pileup]

# Numerical jet shape correction

Soyez et al. [211.2811]



# Shortcomings of subtraction

While a useful reference because potentially unbiased, subtraction methods suffer from a number of shortcomings

- general shape subtraction is numerically cumbersome
- it only works for IRC-safe observables, while interests of pileup mitigation go beyond these (lepton isolation, MET, ...)
- because of pileup fluctuations the dispersion of the corrected quantity inevitably scales like  $\sqrt{N_{\text{PU}}}$ , becoming large for high pileup levels
- No use is made of additional information available to experiments (e.g. charged tracks coming from secondary vertices) (but one can use area-subtraction after Charged Hadron Subtraction)

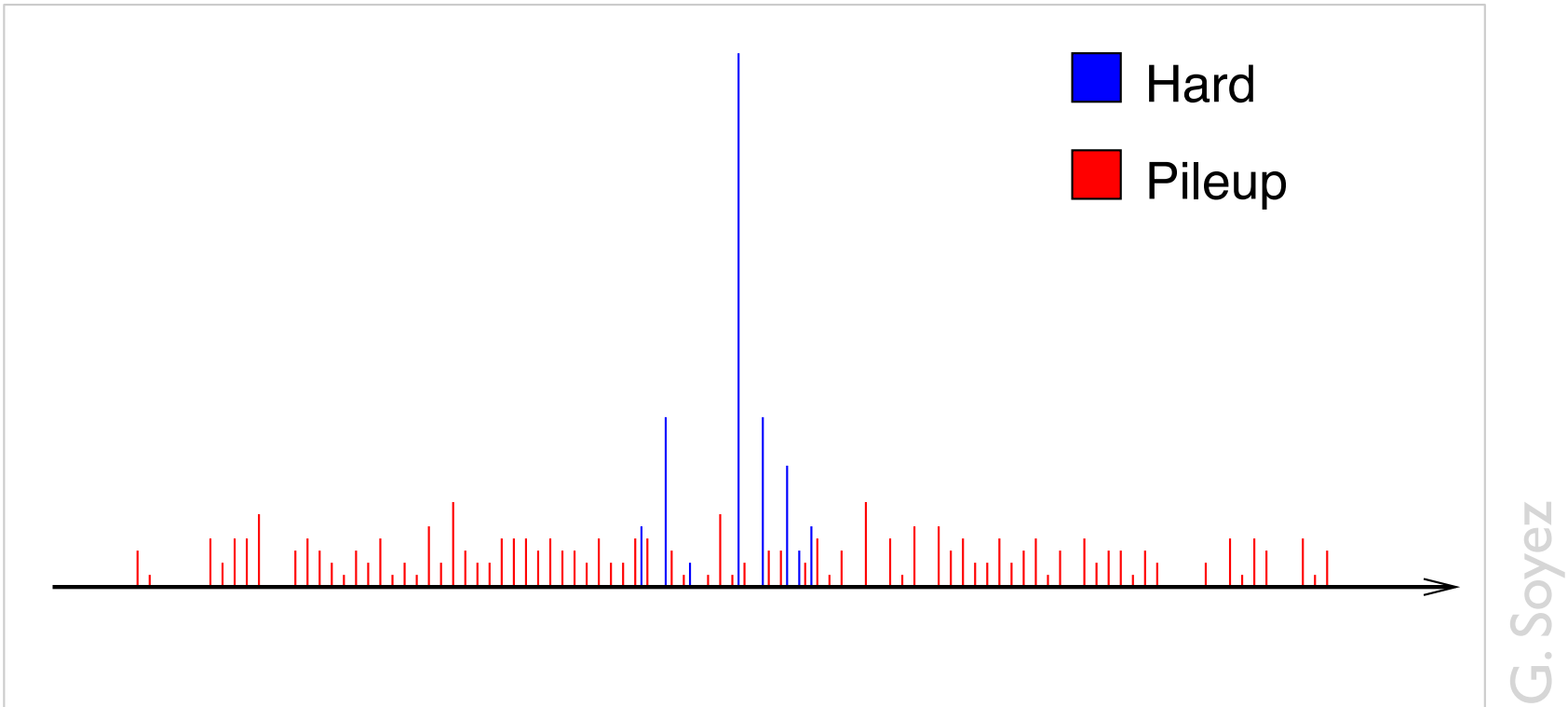
**Grooming**

Consider two of the particle-based methods that are often used today, i.e. **SoftKiller** and **ConstituentSubtractor**

In both cases, they eliminate from the event particles whose transverse momentum scale makes them suspect of being of pileup origin. They also both have a distance scale as a tunable parameter.

Differently from area subtraction methods, these methods are not naturally unbiased and must be tuned. Their advantage resides in being fast, in leading to smaller dispersions (because they reduce the numbers of particles), and even in producing 'cleaned' events that are faster to cluster (again, because they contain fewer particles)

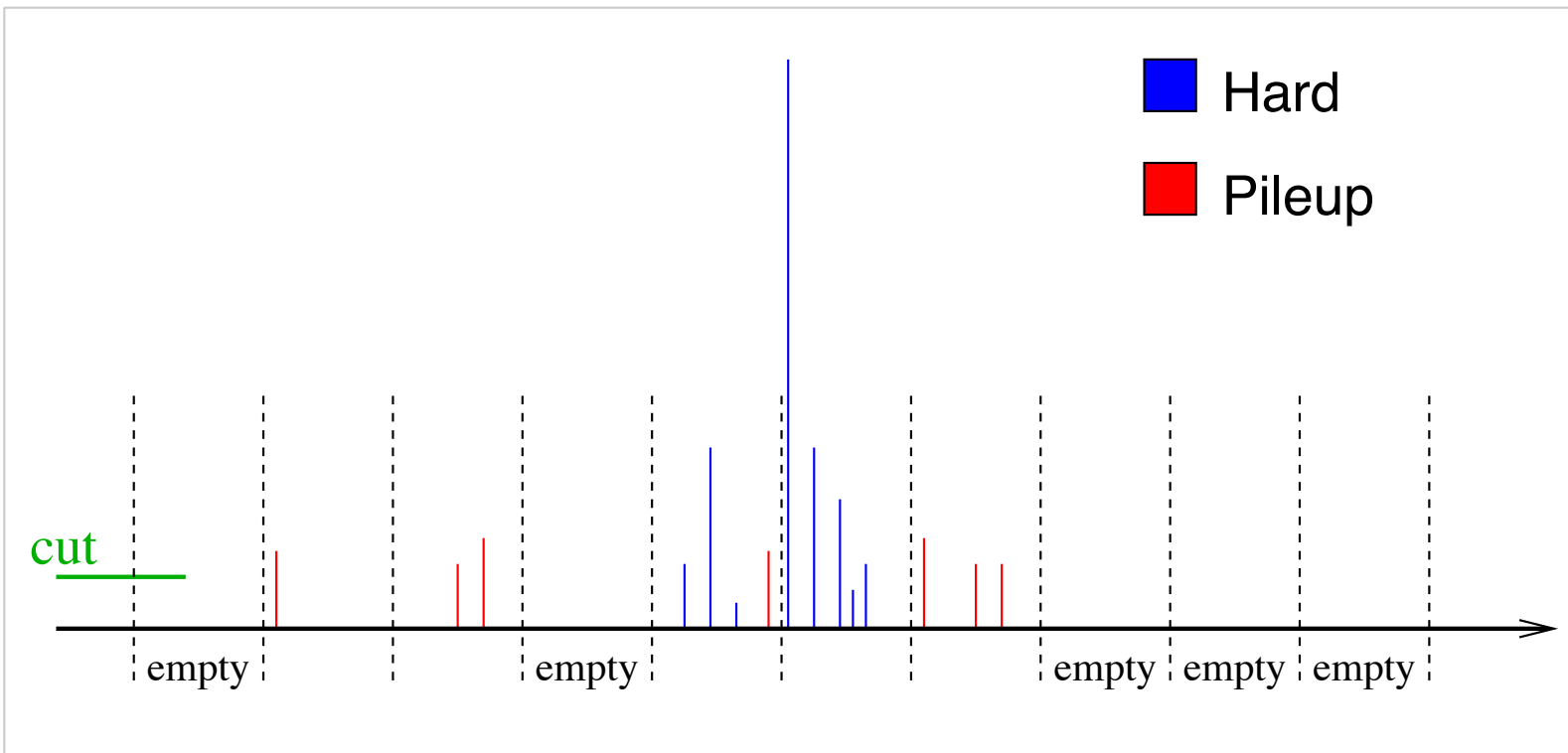
# An event: particle level



**Soft Killer** introduces a **particle momentum cut** such that the median momentum density ( $\rho$ ) of the event is zero

**Constituent Subtractor** subtracts each constituent using iterative **local pairings to ghosts** whose momentum is set by  $\rho$





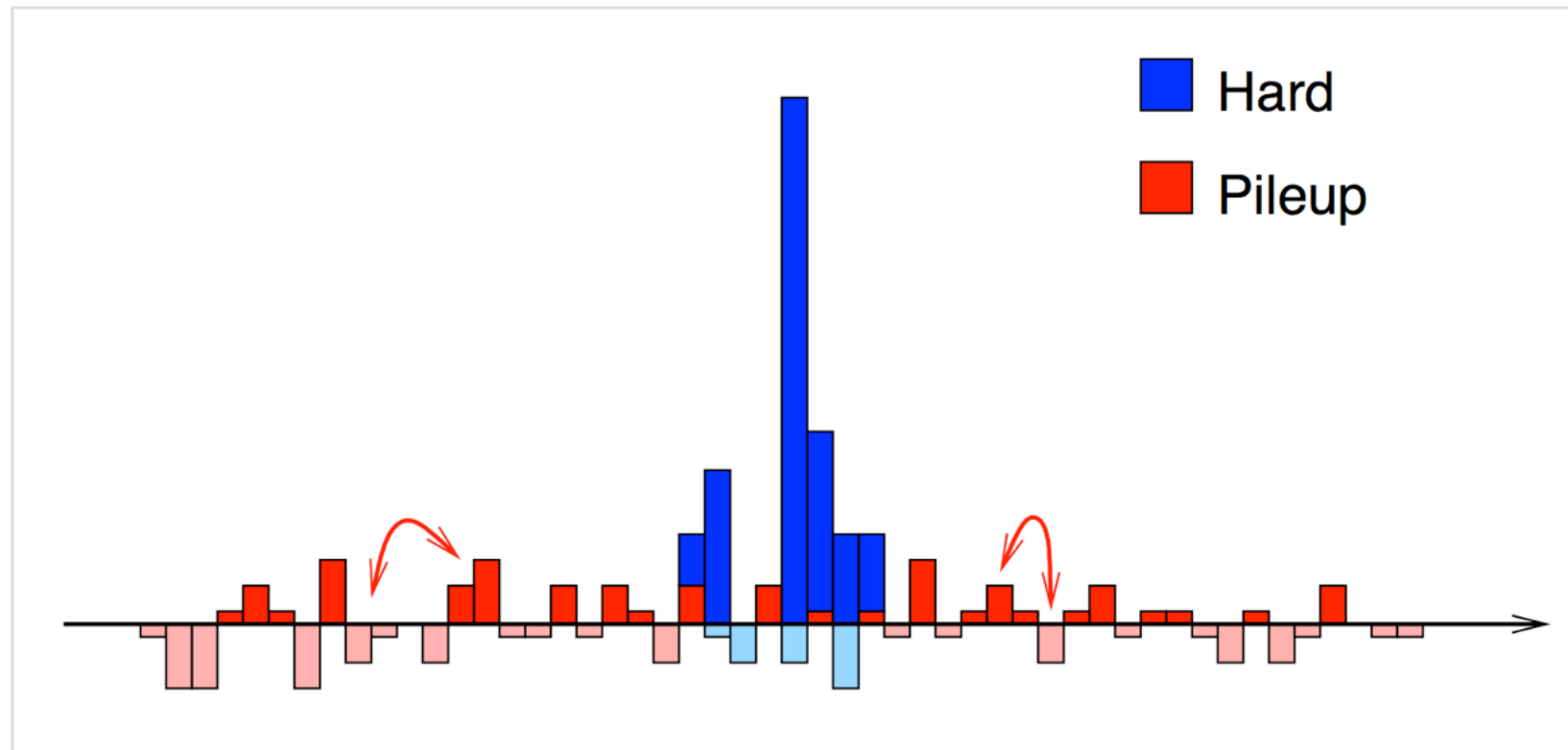
G. Soyez

Half of the event is empty  $\boxtimes$   $\rho = 0$  (because it's the median)

NB. SK needs tuning of the size of the patches used to calculate  $\rho$ .  
0.4 was found to be a good choice for R=0.4 jets

# Constituent Subtractor

Berta, Spousta, Miller, Leitner, I 403.3108



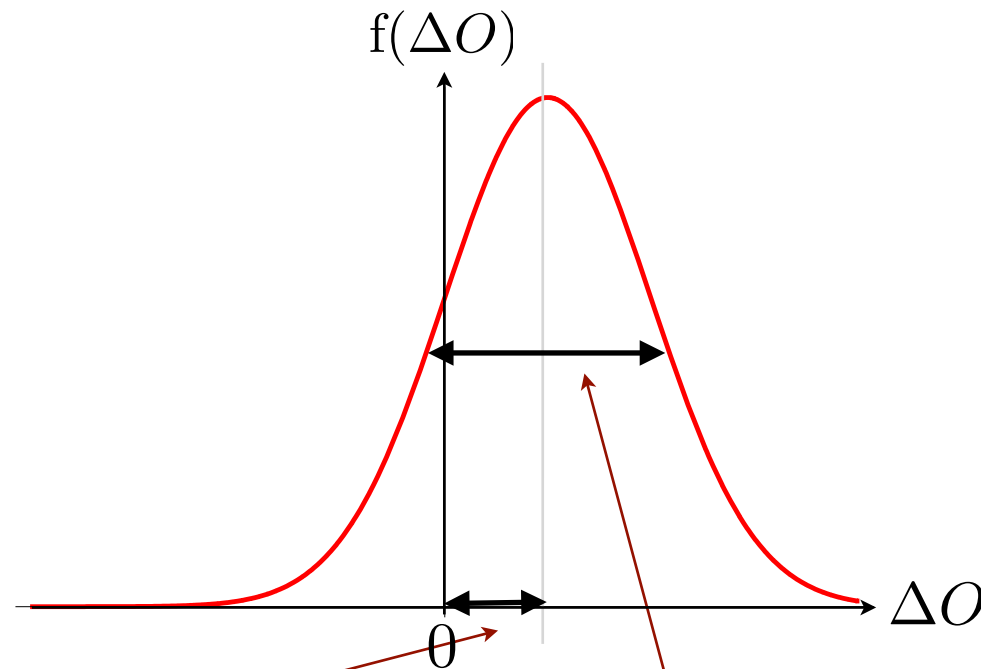
G. Soyez

Constituent Subtractor uses local pairings to ghosts to subtract iteratively momentum from constituents, reshuffling it to ghosts when oversubtracting, so as to maintain overall balance. Can also be applied jet-by-jet.

A recent update introduces rapidity-azimuth rescaling for ghosts and an iterative version (CS applied multiple times) that performs better

# Quality measures

Given an **observable**  $O$ , define quality measures for pileup subtraction in terms of **average offset**  $\langle \Delta O \rangle$  and **dispersion**  $\sigma_{\Delta O}$

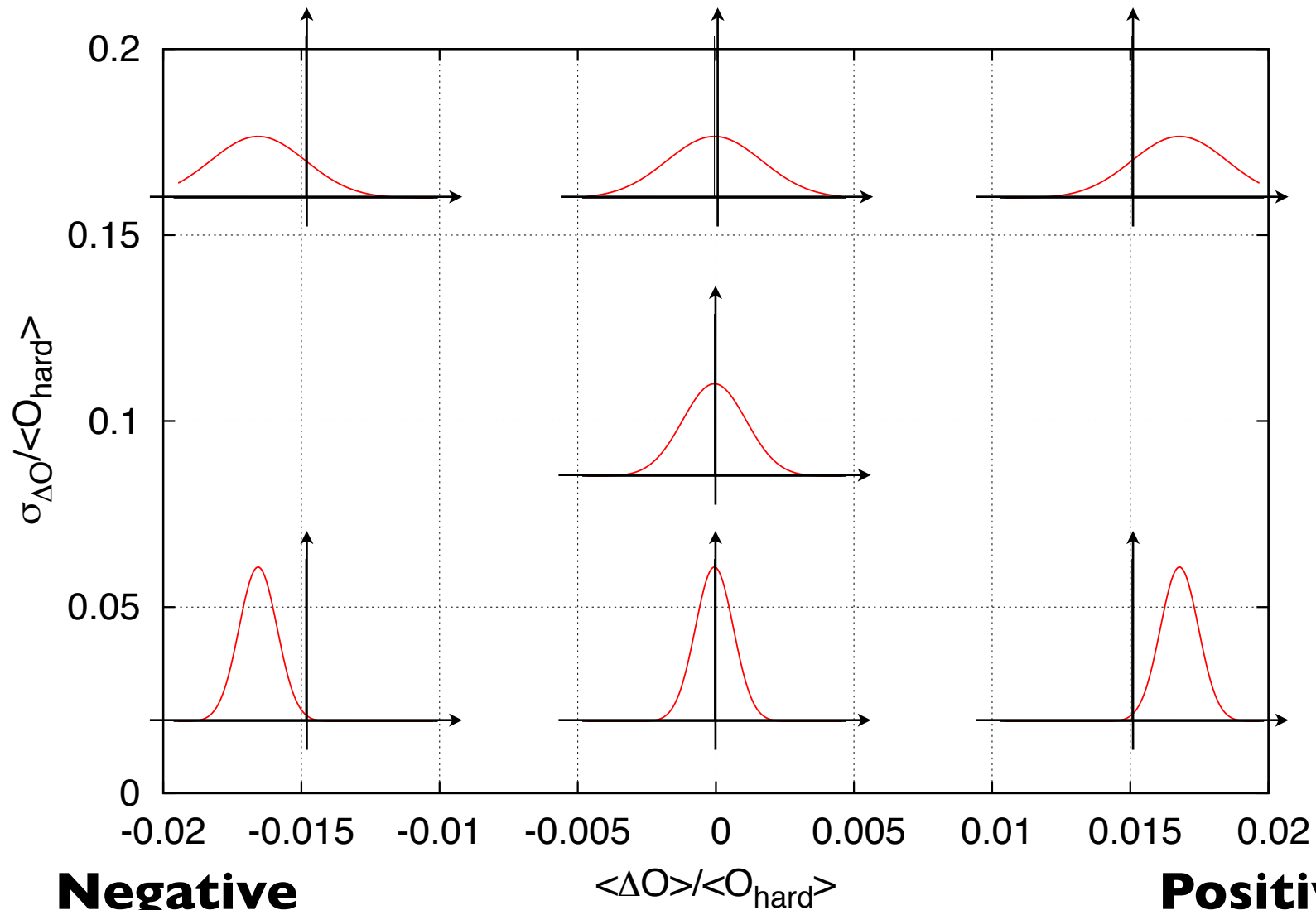


$$\langle \Delta O \rangle \equiv \langle O^{\text{sub}} - O^{\text{hard}} \rangle$$

$$\sigma_{\Delta O} = \langle \Delta O^2 \rangle - \langle \Delta O \rangle^2$$

# Representation of quality measures

**Dispersion**



**Larger disp.**

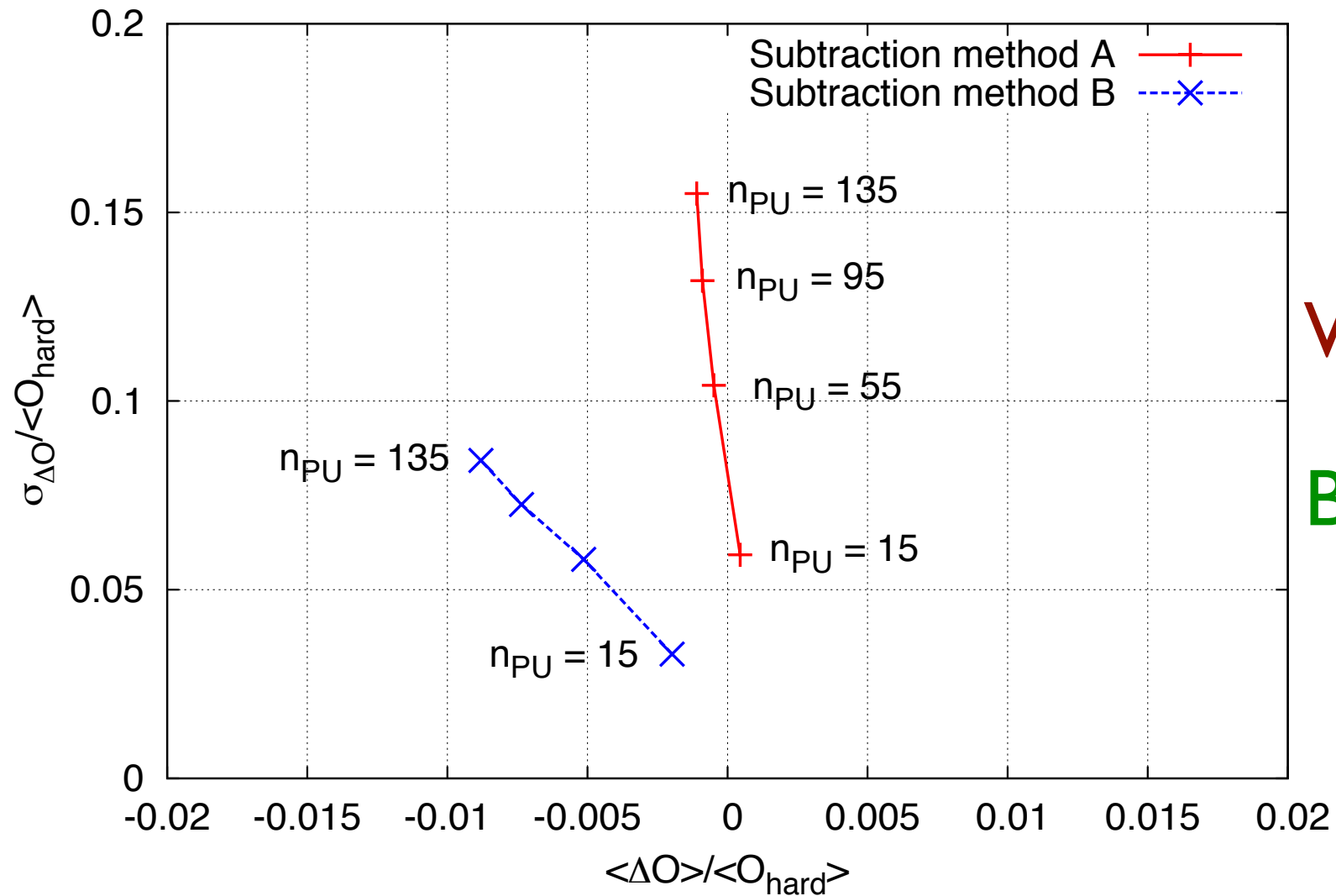
**Smaller disp.**

**Negative offset**

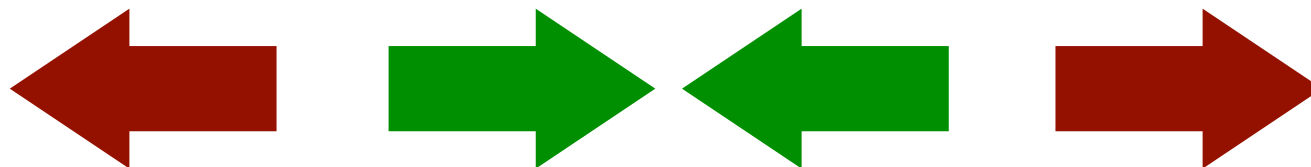
**Positive offset**

**Bias**

# Representation of quality measures



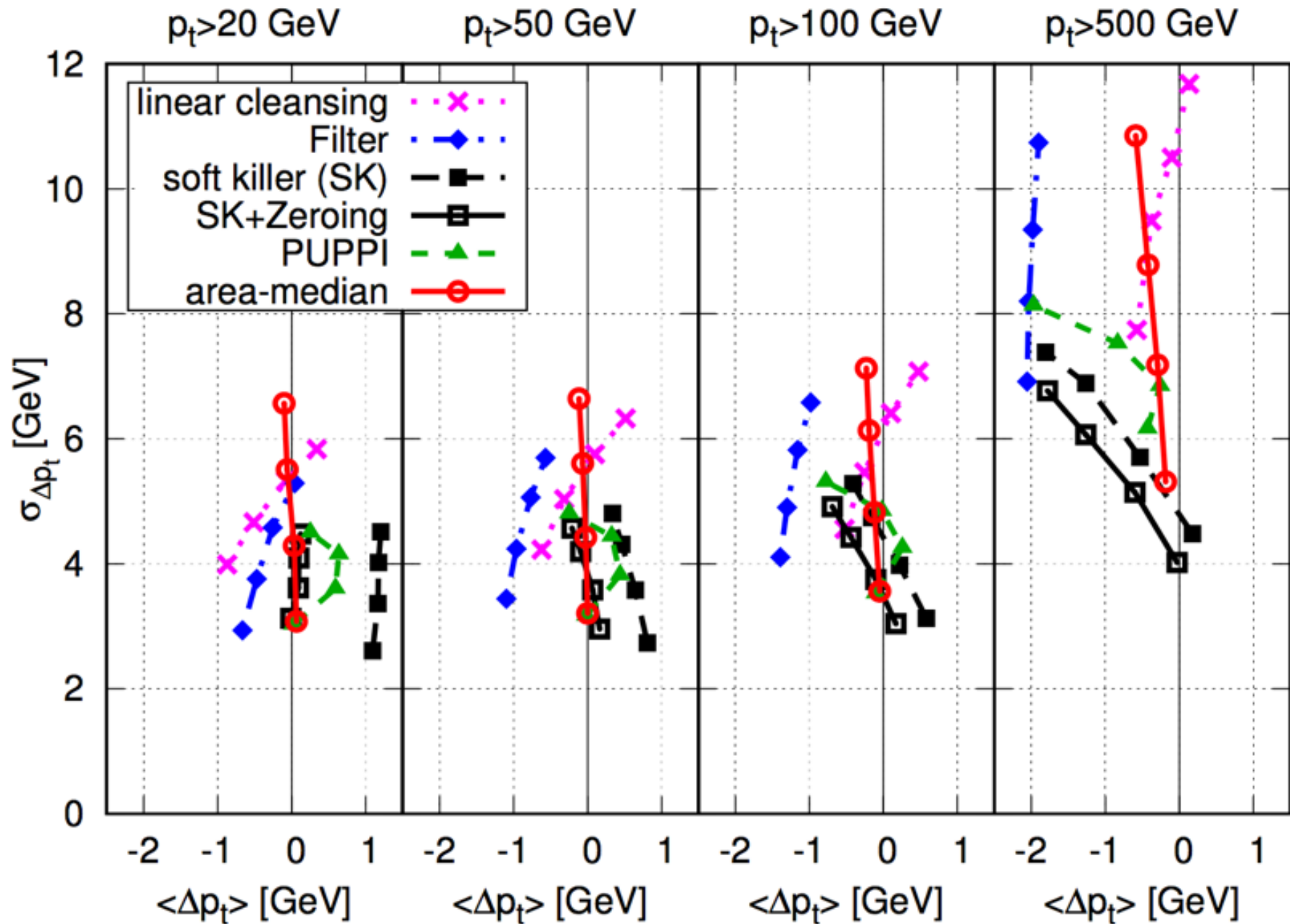
↑  
**WORSE**  
**BETTER**  
 ↓



# Comparisons

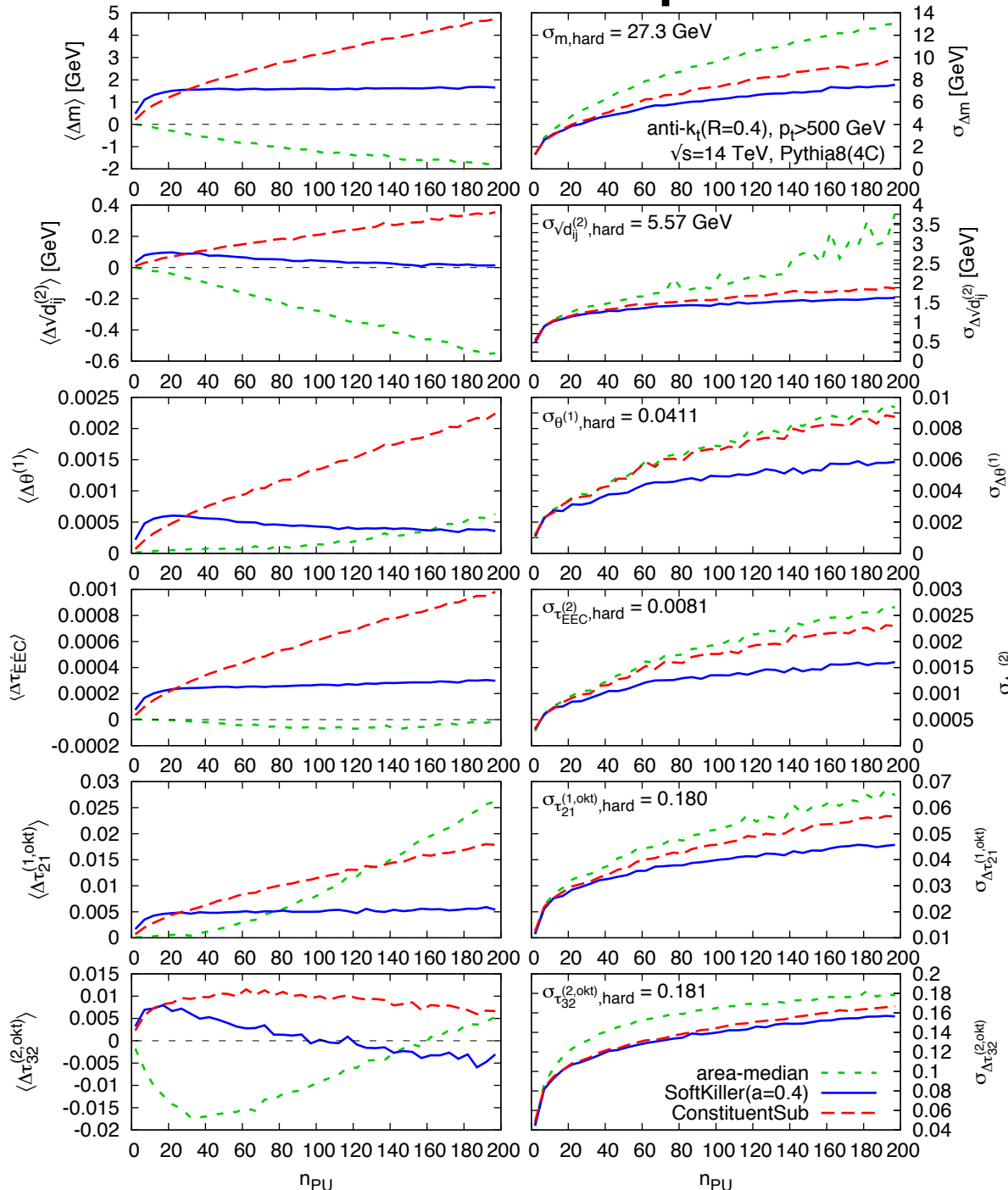
(After Charged Hadron Subtraction)

Soyez 1801.09721



## Bias

## Dispersion



Area-median  
Soft Killer  
Constituent Subtractor

Various jet shapes:

- ▶ jet mass
- ▶ kt clustering scale
- ▶ jet width (= broadening, = girth)
- ▶ energy-energy correlation moment
- ▶  $T_{21}$  and  $T_{32}$  N-subjettiness ratios

# Examples in HI collisions

Events in heavy ion collisions are characterized  
by a huge background

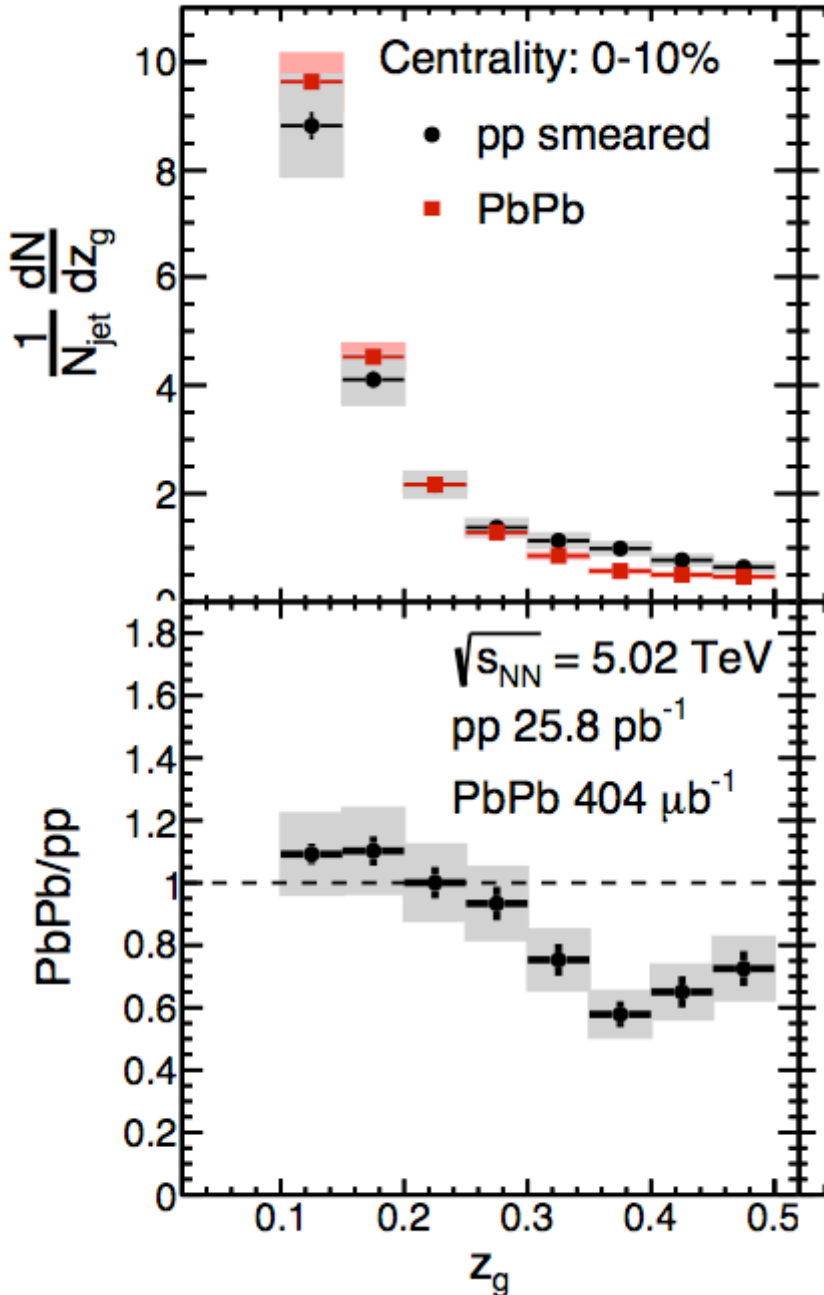
( $\rho \sim 250$  GeV in central collisions PbPb at LHC, to be compared with  $\rho \sim 3$  GeV for the underlying event in pp, and  $\rho \sim 0.7$  GeV/vertex for pileup)

This needs to be subtracted, but one must keep in mind that the subtraction becomes part of the definition of the observable, because in HI there's no 'ideal' situation without the background.  
Hence, handle with care!



# CMS splitting function

CMS PAS HIN-16-006



CMS has measured the momentum fraction of the 'first splitting',

$$z_g = \frac{p_{T2}}{p_{T1} + p_{T2}}$$

Definition:

reduction of event using

**Constituent Subtractor**, then grooming using **Soft Drop ( $\beta=0, z_{\text{cut}}=0.1$ )**

# ALICE jet shapes

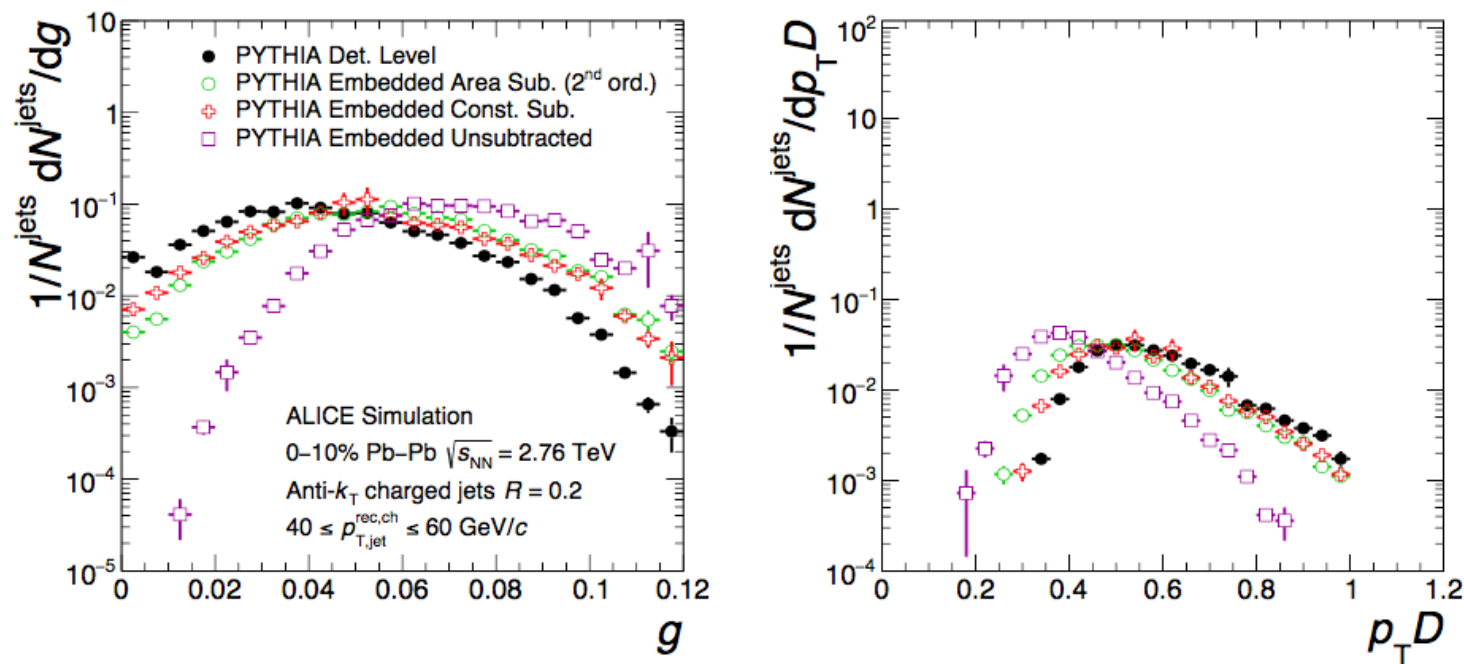
ALICE has studied the first radial moment and the second moment of the constituent momentum distribution in jets

$$g = \sum_{i \in \text{jet}} \frac{p_{T,i}}{p_{T,\text{jet}}} |\Delta R_{i,\text{jet}}|$$

$$p_T D = \frac{\sqrt{\sum_{i \in \text{jet}} p_{T,i}^2}}{\sum_{i \in \text{jet}} p_{T,i}}$$

## Tests of background subtraction

1807.06854



Approach: **numerical area-median** correction for shapes, cross-checked with **Constituent Subtraction**, plus unfolding

# ALICE jet shapes

ALICE has studied the first radial moment and the second moment of the constituent momentum distribution in jets

$$g = \sum_{i \in \text{jet}} \frac{p_T^i}{p_{T,\text{jet}}} |\Delta R_{i,\text{jet}}|$$

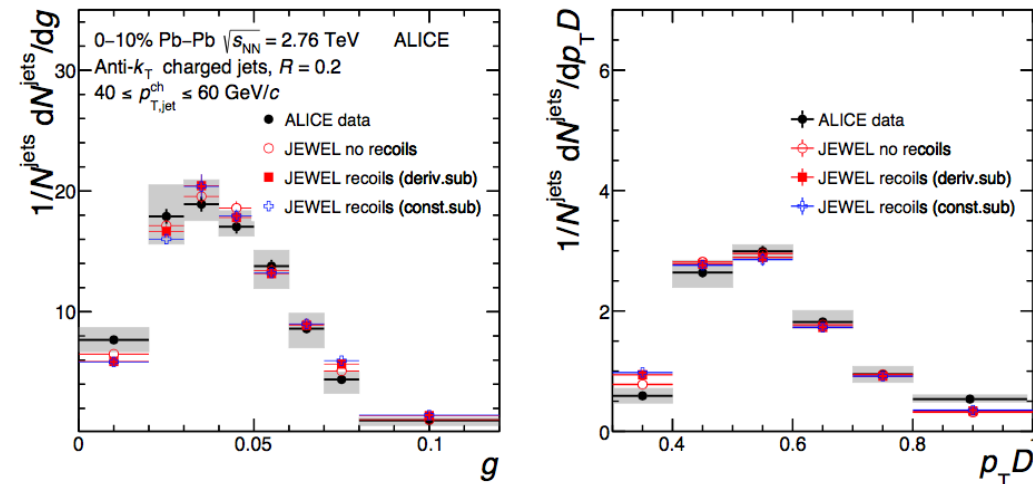
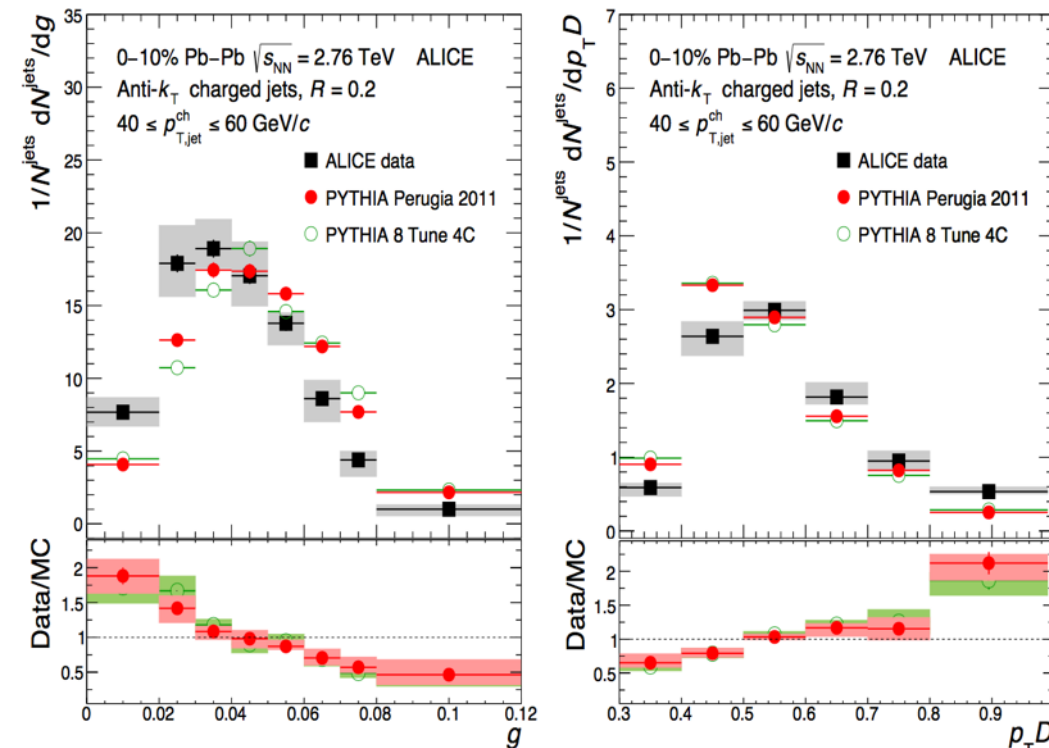
$$p_T D = \frac{\sqrt{\sum_{i \in \text{jet}} p_{T,i}^2}}{\sum_{i \in \text{jet}} p_{T,i}}$$

## Measurements in PbPb

1807.06854

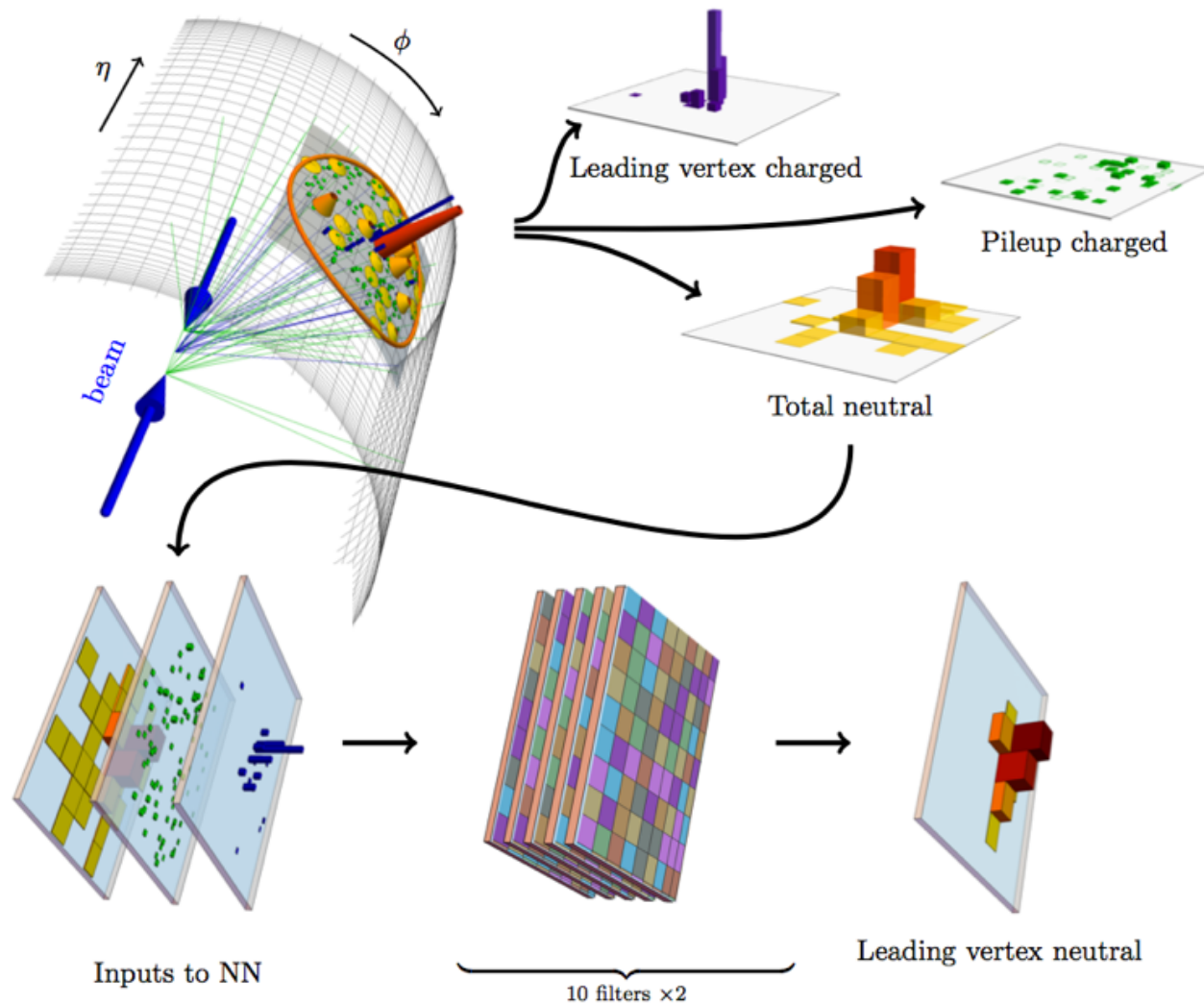
### Comparison to PYTHIA (pp)

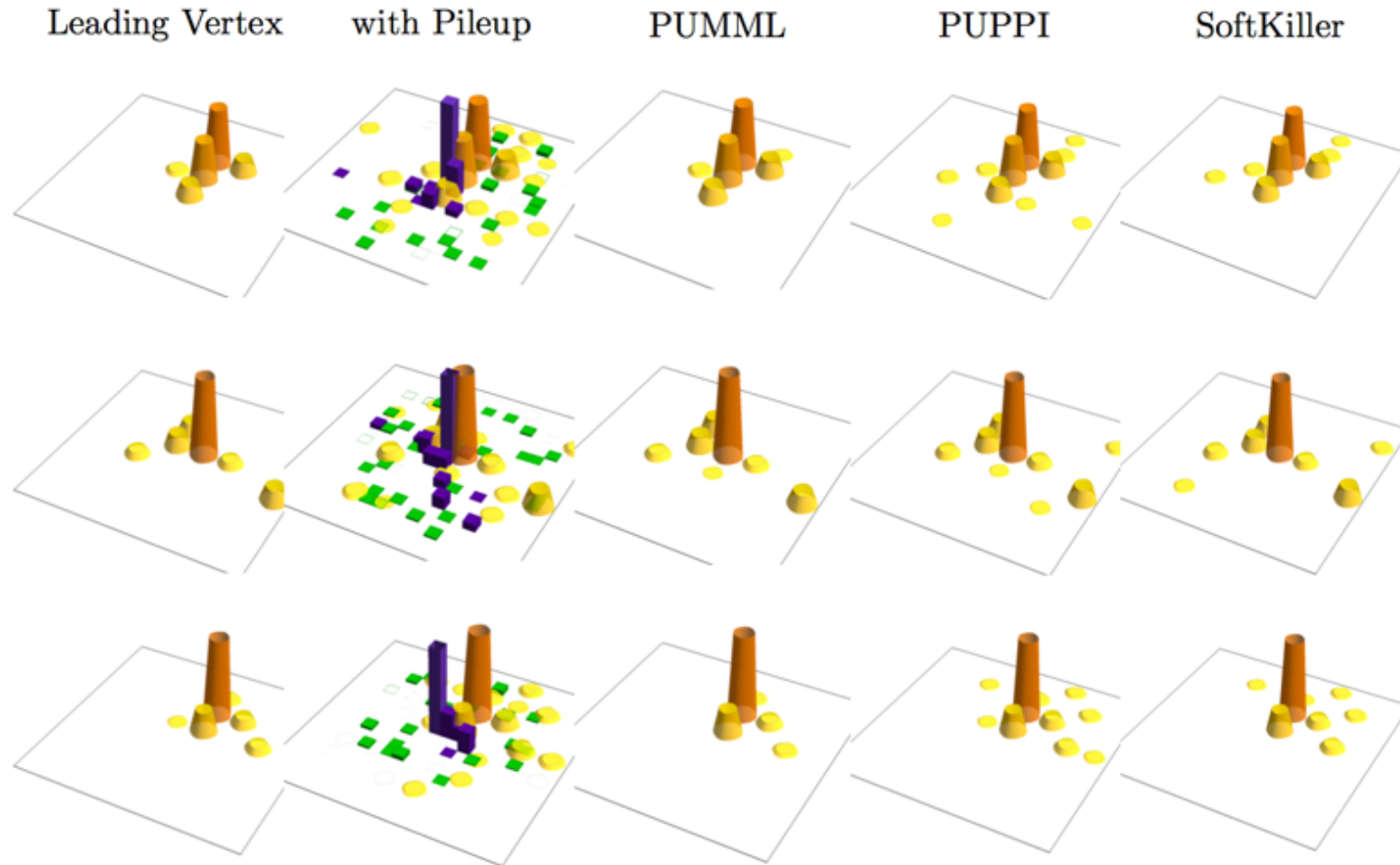
### Comparison to JEWEL (PbPb)



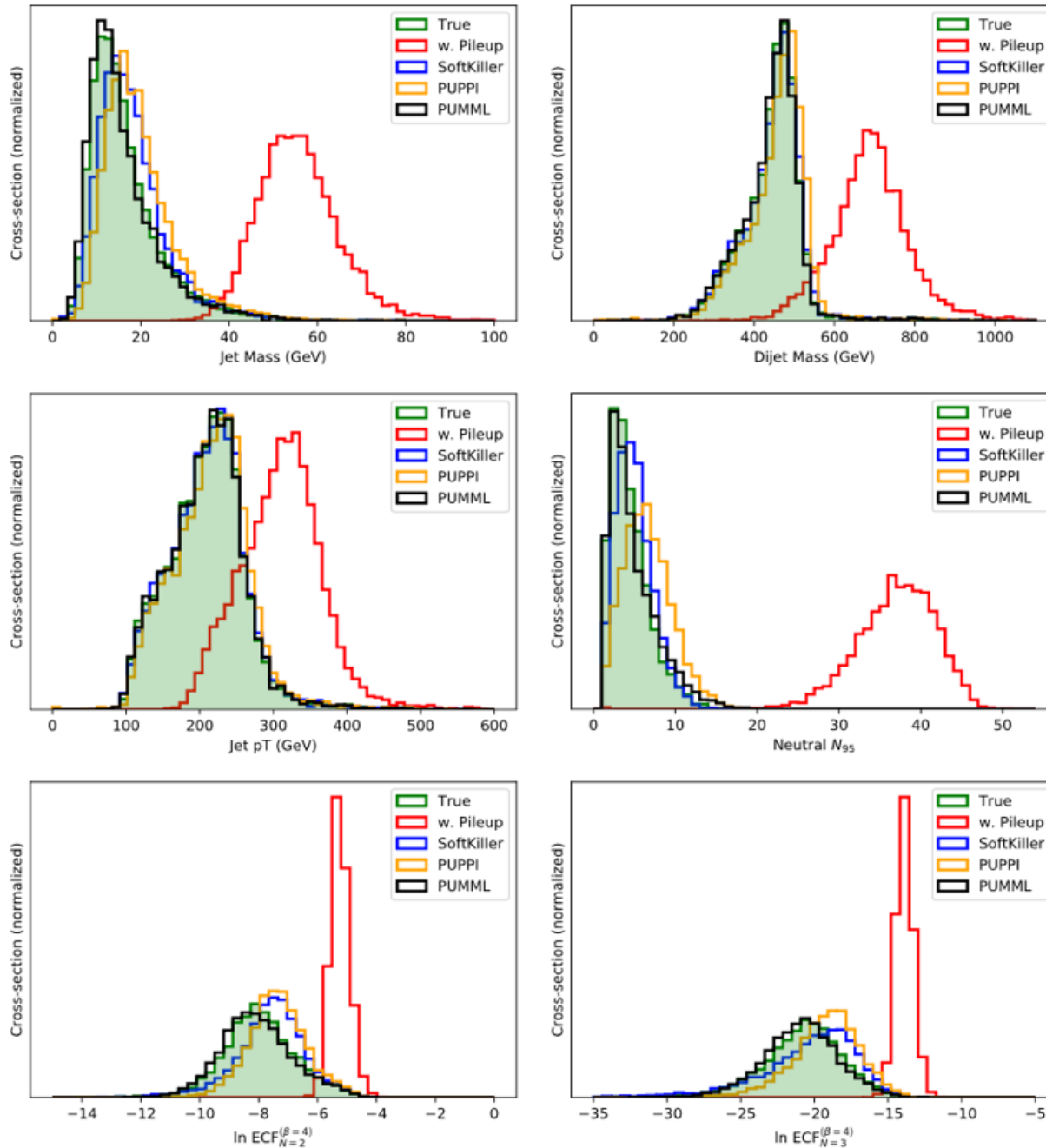
# Machine Learning

**Inputs:**  $p_t$  of charged leading vertex, charged pileup, all neutral particles  
**Output:** leading vertex energy neutral energy distribution





**Figure 3:** Depictions of three randomly chosen leading jets. Blue/purple represents charged radiation from the leading vertex, green is charged pileup radiation, and yellow/orange/red is the neutral radiation. Shown from left to right are the true neutral leading vertex particles, the event with pileup and charged leading vertex information, followed by the neutral leading vertex particles predicted by PUMML, PUPPI, and SoftKiller. From examining these events, it appears that PUMML has learned an effective pileup mitigation strategy.



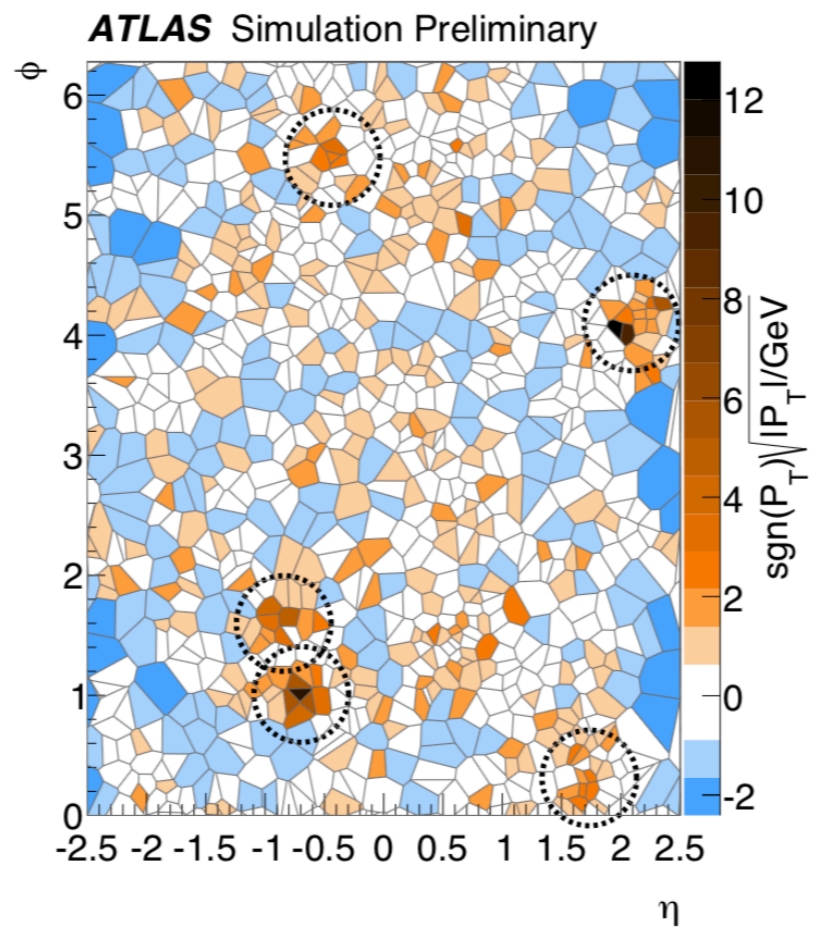
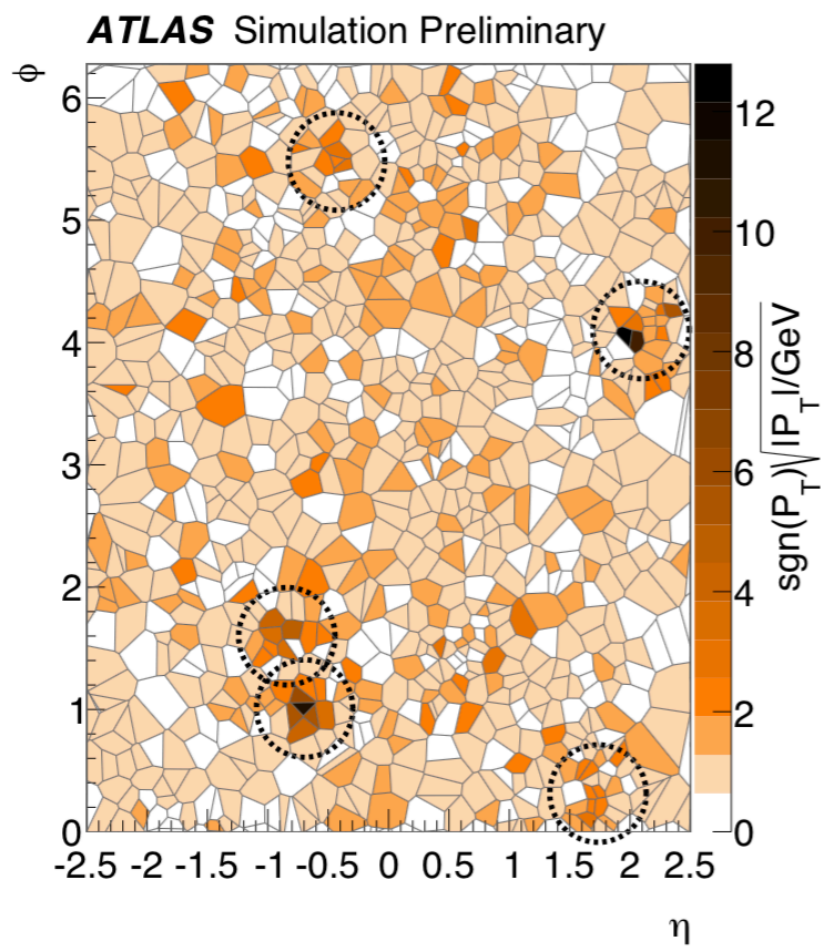
PUMML competitive with other common pileup mitigation methods

- ▶ Pileup/background mitigation is crucial in pp and HI collisions at the LHC (and future colliders)
- ▶ Various approaches have been developed, with varying degree of complexity and tunability.
  - ▶ Many are coded in public implementations ==> crucial for maintenance, cross-testing and reproducibility
- ▶ Different methods can be complementary, and in some cases have been successfully combined
- ▶ While margins for improvement likely still exist, with present experimental energy resolutions and typical pileup levels, the problem of pileup can be probably considered as largely solved



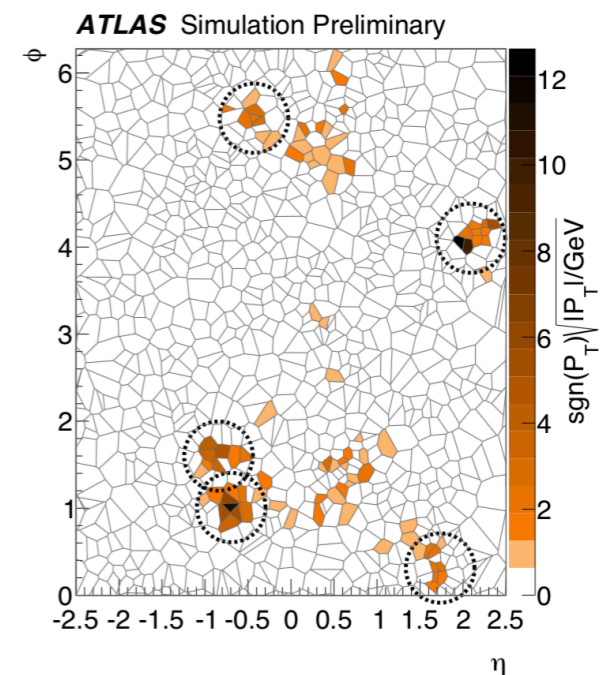
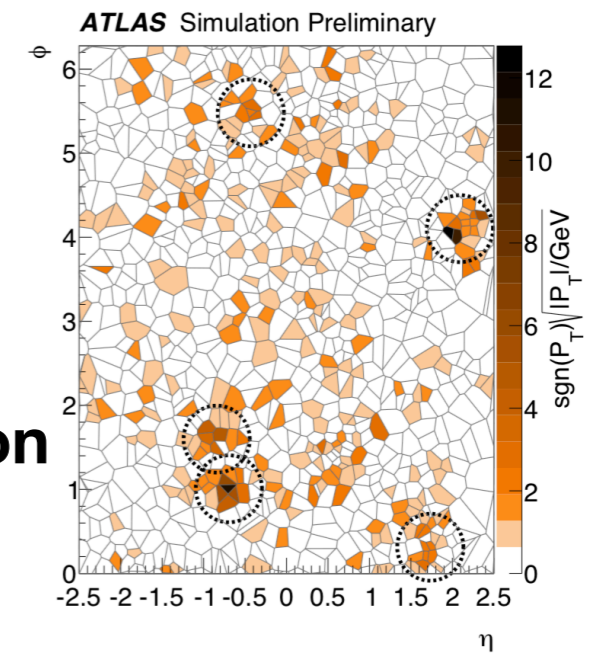
# extra slides

# Veronoi subtraction



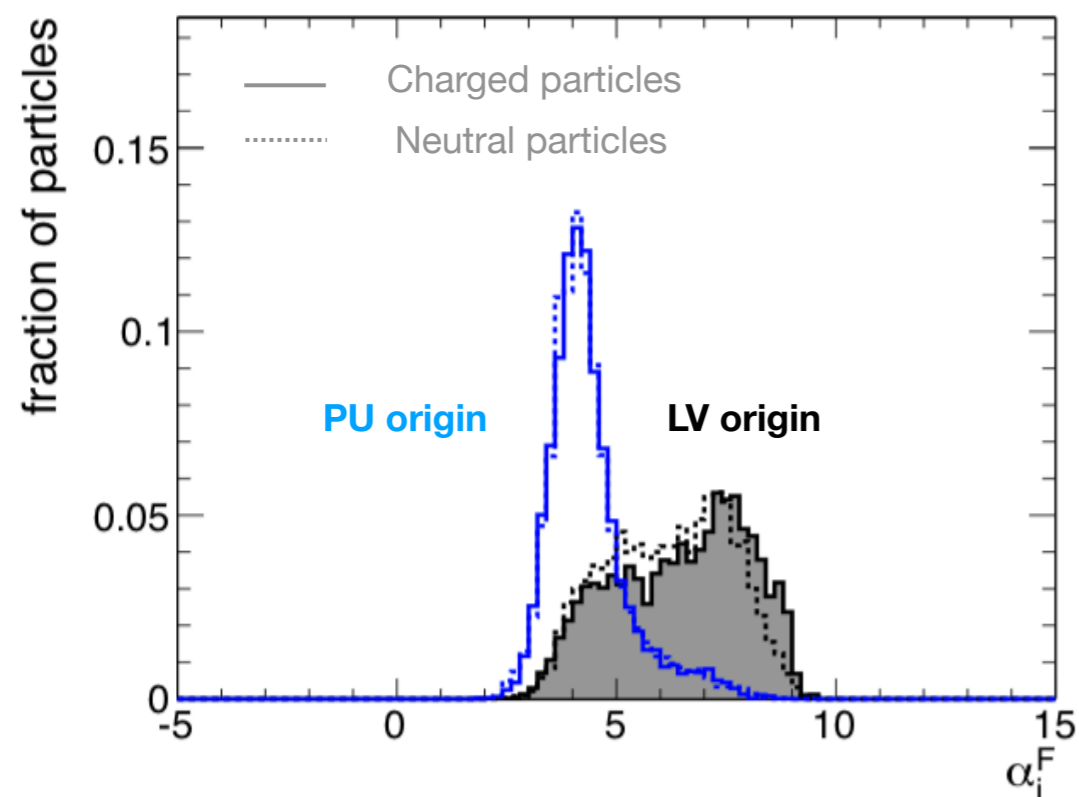
**1-sigma  
suppression**

**Spread**



# PUPPI in CMS, detail

alpha-to-weight conversion is done event-by-event.

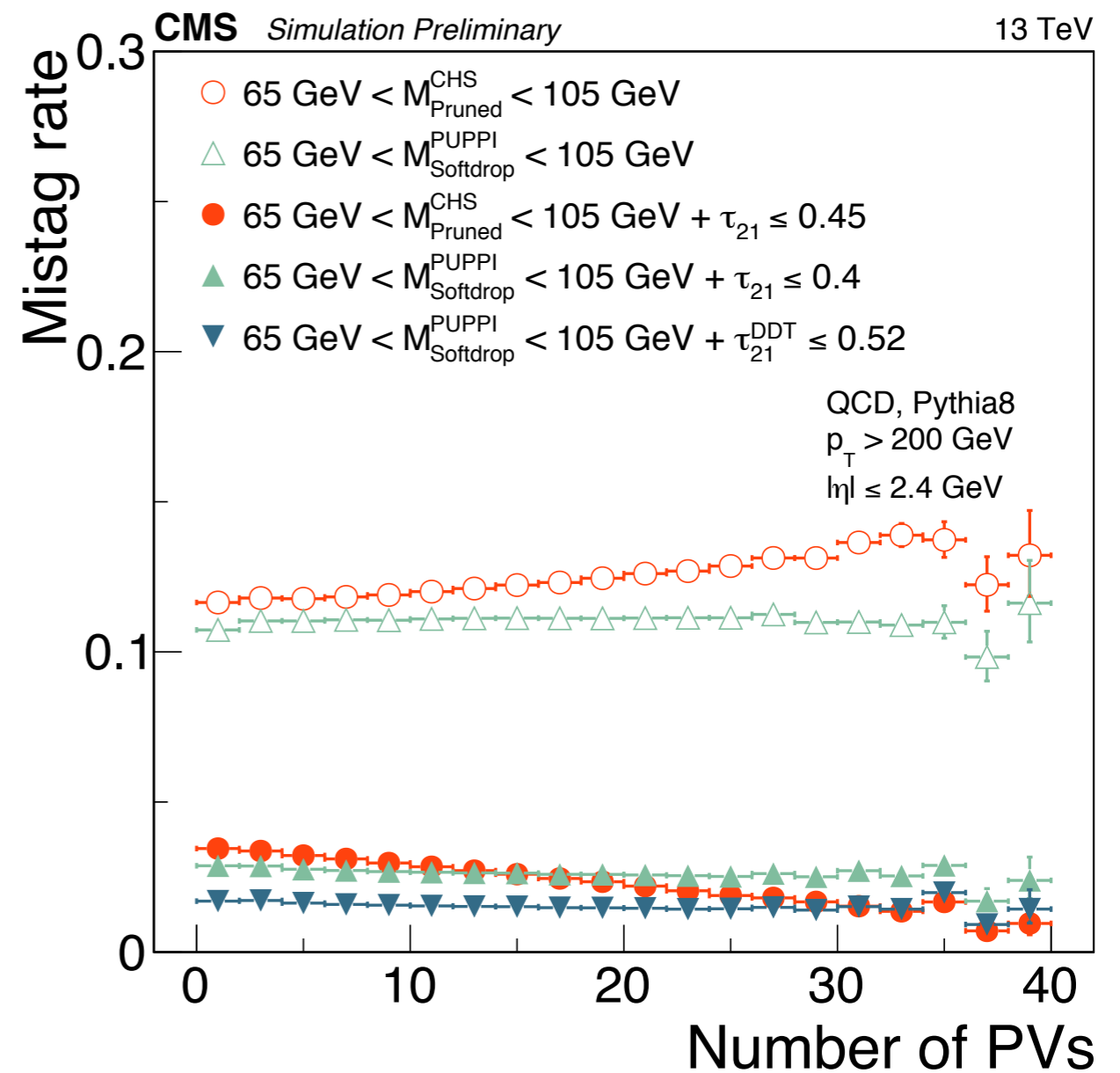
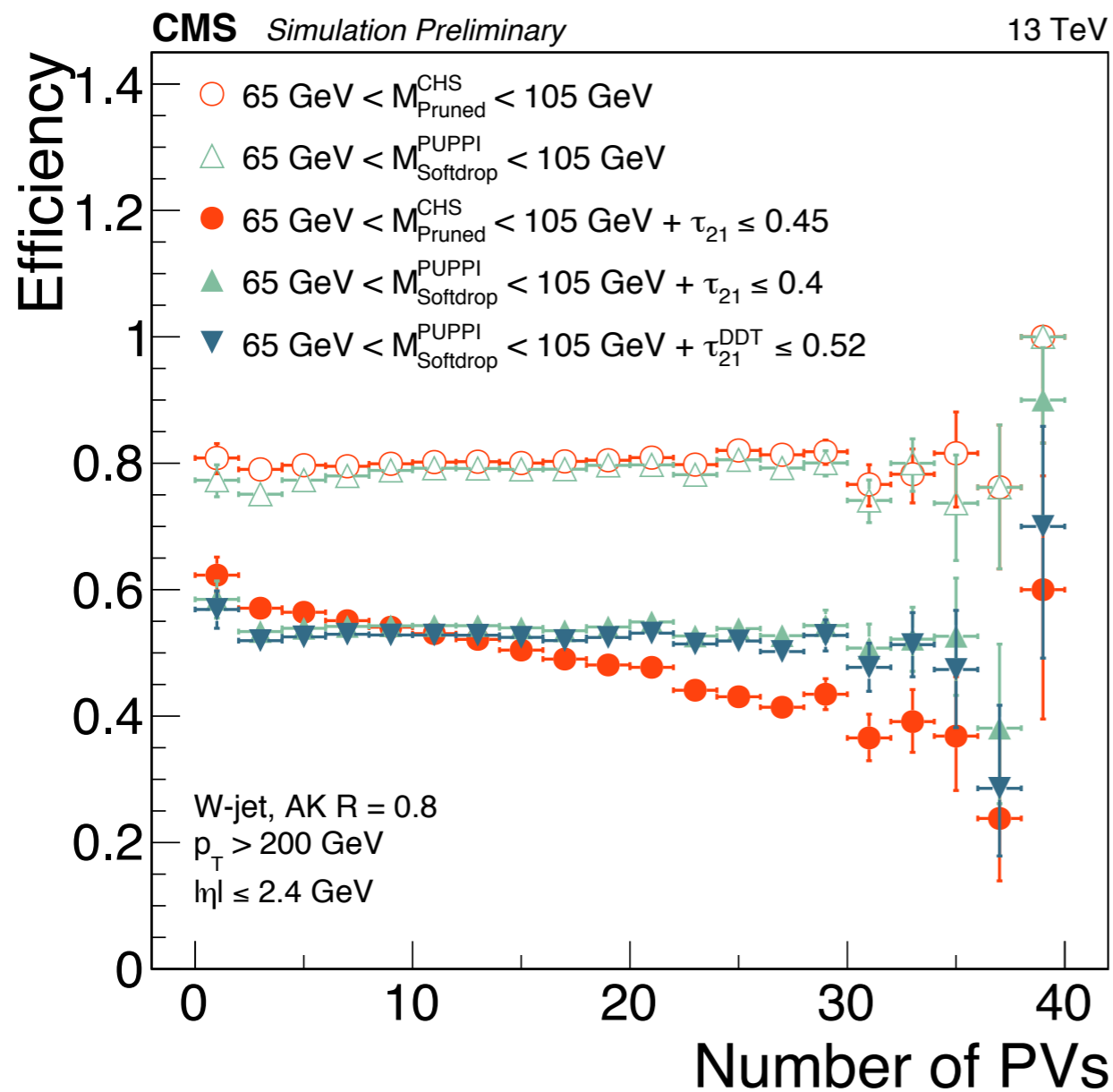


Alpha distribution of **charged particles from PU** represents PU characteristic in the event.

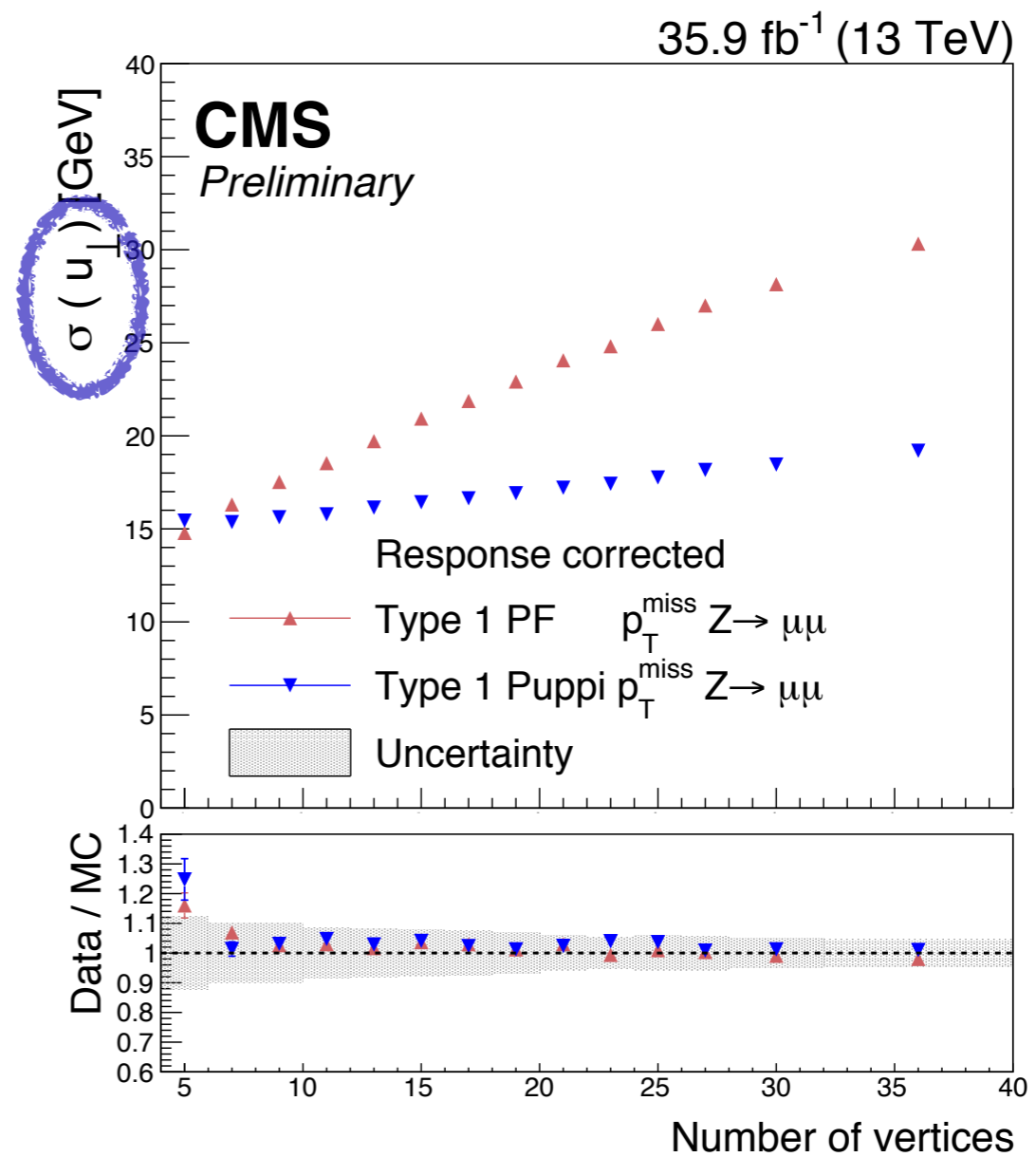
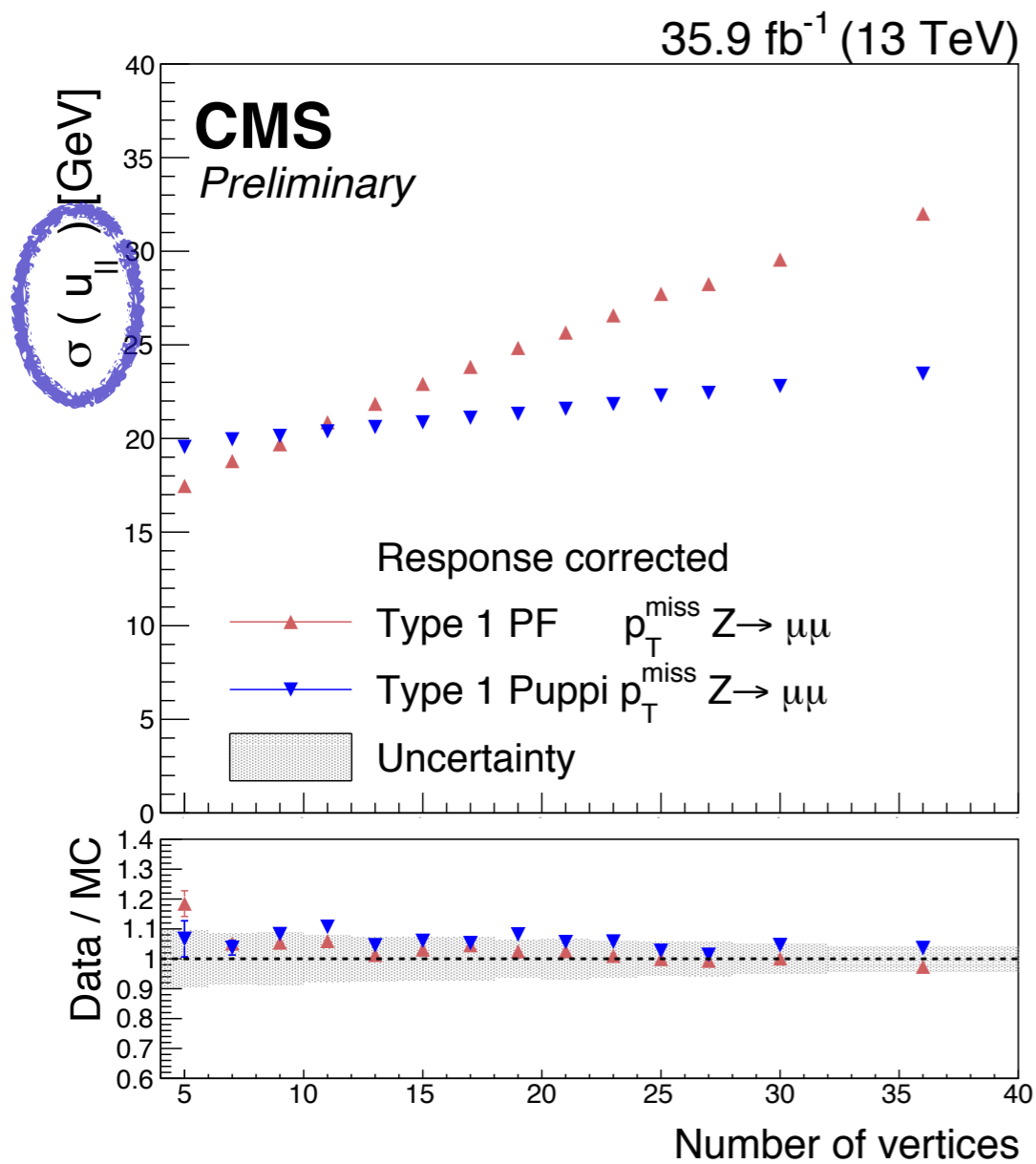
$$\alpha_{\text{neutral particle}}^i \xrightarrow{\alpha \text{ distribution of charged particles from PU}} \text{Prob}_{\text{PU origin}}^i \rightarrow \text{weight} = [0, 1] \begin{cases} 1 : \text{LV-like} \\ 0 : \text{PU-like} \end{cases}$$

Take the mean and RMS of alpha distribution of **charged particles from PU**, and convert neutral particle alpha using a PDF of gaussian with the mean and RMS. (The "log" in the definition of alpha is to make the distribution gaussian-like.)

# PUPPI and boosted objects



# PUPPI MET



# Forward PU rejection

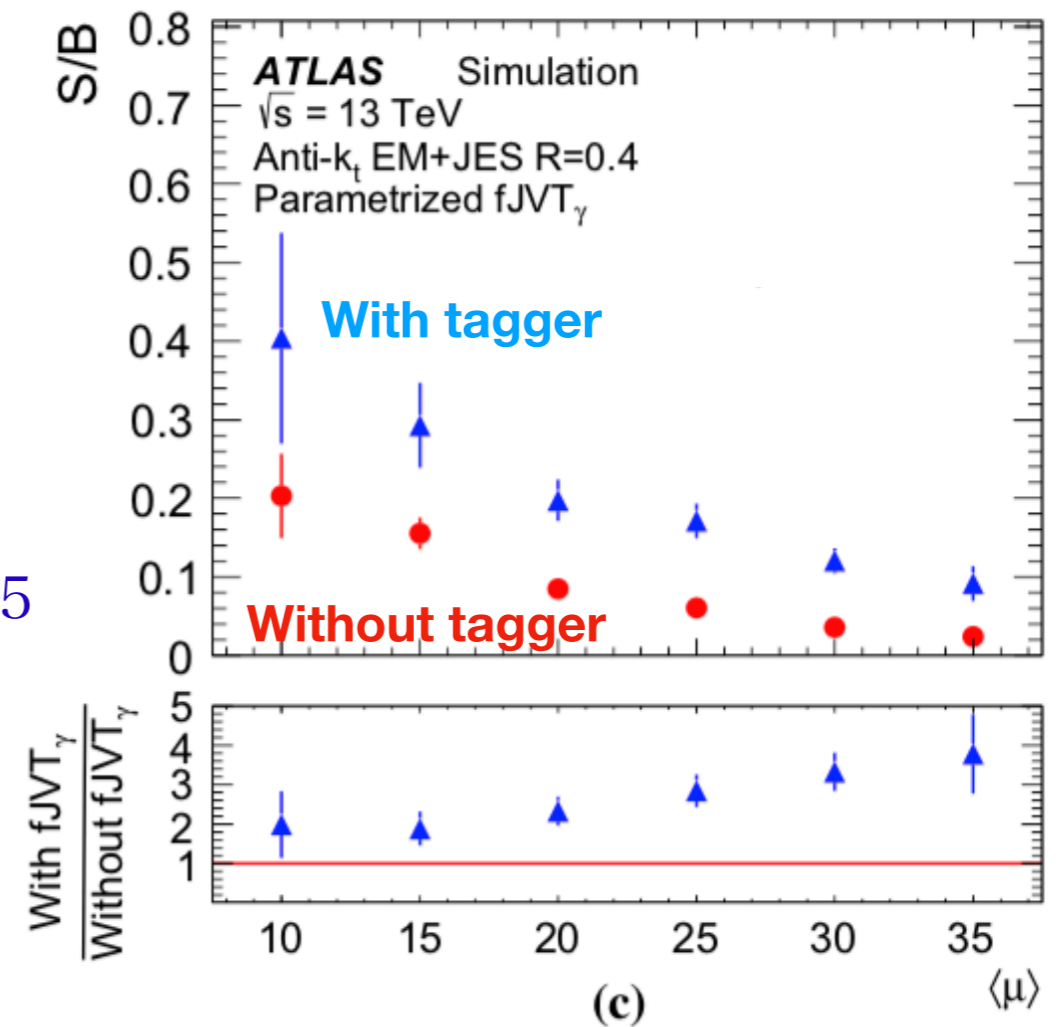
## fJVT<sub>γ</sub> in VBF H → τ τ signature

Signal : H → τ τ, decaying to leptons.

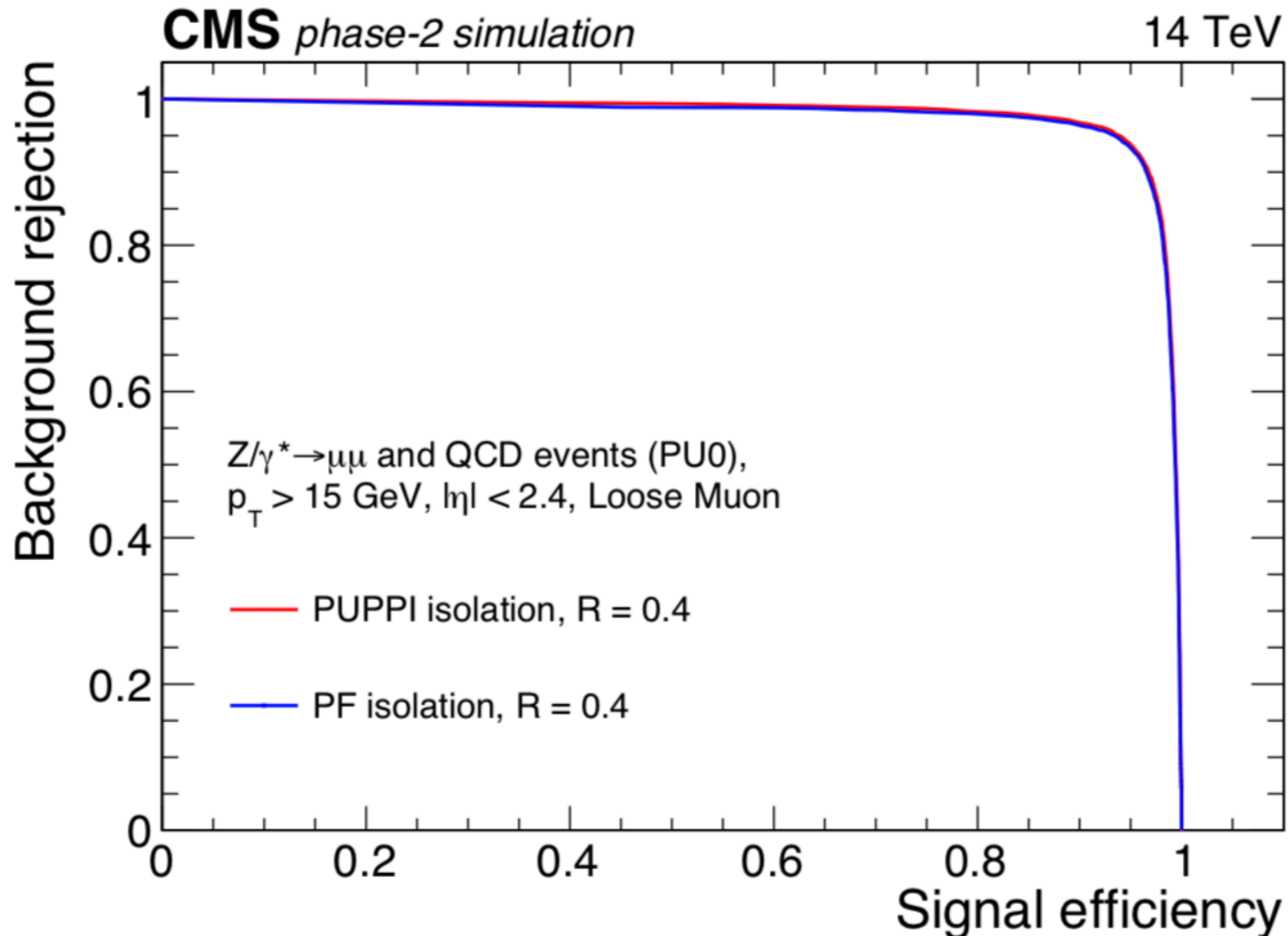
Background : DY → ll(e/μ/τ)

fJVT reduces background by ~80% @ PU=35

fJVT loses signal efficiency by ~20% @ PU=35



# PUPPI muon isolation at PU=0



# PUPPI muon isolation at PU=200

