# DARK PHOTON AT LHCB 

## Yotam Soreq

FSP meeting in Siegen, October 5, 2017

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New Physics (NP) is required but its scale is unknown


Multipole moment, $t$



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## BASICS OF DARK PHOTON

dark sector with broken gauge theory
kinetic mixing with photon
$\frac{\epsilon}{2} F_{\mu \nu}^{\prime} F^{\mu \nu}$


Holdom, 86'

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Holdom, 86'

$$
\mathcal{L}_{\gamma A^{\prime}} \supset-\frac{1}{4} F_{\mu \nu}^{\prime} F^{\prime \mu \nu}+\frac{1}{2} m_{A^{\prime}}^{2} A^{\prime \mu} A_{\mu}^{\prime}+\epsilon e A_{\mu}^{\prime} J_{\mathrm{EM}}^{\mu}
$$

dark photon, $A^{\prime}$, couples to the EM current

## CURRENT BOUNDS ON A'



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## WHY LHCB?



## WHY LHCB?

- real time data analysis (trigger-less) for Run 3
- particle identification
- muons detection:
- dimuon invariant mass $\left(m_{\mu \mu}\right)$ resolution:

$$
\begin{aligned}
& \text { - } 4 \mathrm{MeV}, m_{\mu \mu}<1 \mathrm{GeV} \\
& \text { - } 0.4 \% m_{\mu \mu}, m_{\mu \mu}>1 \mathrm{GeV}
\end{aligned}
$$

- time resolution: $\sigma_{\tau} \sim 50 \mathrm{fs}$ (almost constant in proper lifetime)


## WHY LHCB?

- $A^{\prime} \rightarrow \mu^{+} \mu^{-}-$
- inclusive search (do not need to specify the production)
- fully data driven
- both prompt and displaced searches
- Run 3 - integrated luminosity of $15 \mathrm{fb}^{-1}$


# inclusive dark photon at LHCb 

P. Ilten, YS, J. Thaler, M. Williams, W. Xue, 1603.08926

## WHY LHCB?

## VELO

(vertex locator)

interaction point

transverse

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transverse

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## VELO <br> (vertex locator) <br> 

interaction point

$22 \mathrm{~mm}-$
transverse

## WHY LHCB?

## VELO <br> (vertex locator) <br> 

interaction point


## SEARCH REGIONS



## SIGNAL ESTIMATION

## S - signal:

$$
p p \rightarrow X A^{\prime} \rightarrow X \mu^{+} \mu^{-}
$$

## includes mixing with

 vector mesons

Bjorken, Essig, Schuster,

## SIGNAL ESTIMATION

S - signal:
$p p \rightarrow X A^{\prime} \rightarrow X \mu^{+} \mu^{-}$
includes mixing with vector mesons


BEM - background from EM processes:
meson decays
final state radiation
Drell Yan

$$
p p \rightarrow X \gamma^{*} \rightarrow X \mu^{+} \mu^{-}
$$



Bjorken, Essig, Schuster,

## SIGNAL ESTIMATION

## differential relation:

$$
\frac{\mathrm{d} \sigma_{p p \rightarrow X A^{\prime} \rightarrow X \mu^{+} \mu^{-}}}{\mathrm{d} \sigma_{p p \rightarrow X \gamma^{*} \rightarrow X \mu^{+} \mu^{-}}}=\epsilon^{4} \frac{m_{\mu \mu}^{4}}{\left(m_{\mu \mu}^{2}-m_{A^{\prime}}^{2}\right)^{2}+\Gamma_{A^{\prime}}^{2} m_{A^{\prime}}^{2}}
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$$

## per mass bin:



Bjorken, Essig, Schuster,

## PROMPT BACKGROUNDS

- misidentified pions:
- $B^{\pi \pi}$ - two pions are misidentified
- $B^{\pi \mu}$ - one pion is misidentified and one real muon
- $B_{B H}$ - Bethe-Heitler background, subdominant due to small photon luminosity function



## PROMPT BACKGROUNDS

- misidentified pions:
- $B \pi \pi$ - two pions are misidentified
- $B^{\pi \mu}$ - one pion is misidentified and one real muon
- $B_{\mathrm{BH}}$ - Bethe-Heitler background, subdominant due to small photon luminosity function

$$
\begin{gathered}
B_{\text {prompt }}=\underbrace{B_{M}+B_{\mathrm{FSR}}+B_{\mathrm{DY}}}_{B_{\mathrm{EM}}}+\underbrace{B_{\text {sodis }}^{\pi \pi}+B_{\text {misID }}^{\pi \mu}}_{\begin{array}{c}
B_{\text {misID }} \\
\text { "bood" }
\end{array}} \\
\text { does not }
\end{gathered}
$$

## PROMPT BACKGROUNDS

## selections:

- $2<\eta\left(\mu^{ \pm}\right)<5$
- $p\left(\mu^{ \pm}\right)>10 \mathrm{GeV}$
- $p_{T}\left(\mu^{ \pm}\right)>0.5 \mathrm{GeV}$
- $p_{T}\left(A^{\prime}\right)>1.0 \mathrm{GeV}$
- $\mu$ isolation:
if DY is significant,
$m_{A^{\prime}}>m_{\phi} \sim 1 \mathrm{GeV}$


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## DISPLACED BACKGROUNDS

- pre-module:
- main backgrounds: $b \rightarrow c \mu^{ \pm} X, c \rightarrow \mu^{ \pm} Y$
- 10000 background events per mass bin
- post-module:
- mostly material interactions, rescaled from $K_{S} \rightarrow \mu^{+} \mu^{-}$ search
- 25 background events pre mass bin
- backgrounds from misidentifications are subdominants


## REACH PLOT



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## 2016 DATA


$p_{\mathrm{T}}\left(\mu^{ \pm}\right)>1.0 \mathrm{GeV}$ (and not 0.5 GeV ) - because of $\mu \mathrm{ID}$

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## POSSIBLEIMPROVEMENTS

- event selection: multivariate analysis, low $\mathrm{p}_{\mathrm{T}}$
- semi-inclusive search: $M \rightarrow \ell^{+} \ell^{-} Y,\left(D^{* 0}\right.$ example)
- di-electron search: $m_{A} \in\left[2 m_{e}, 2 m_{\mu}\right]$, mass resolution is degraded by Bremsstrahlung
- luminosity: Run 4 and 5, (50fb-1 ${ }^{-1}$ and $500 \mathrm{fb}^{-1}$ )


## $D^{* 0} \rightarrow D^{0} A^{\prime} S \in A R C H$

- $D^{* 0} \rightarrow D^{0} A^{\prime} \rightarrow D^{0} e^{+} e^{-}$
- $m_{A^{\prime}} \in\left[2 m_{e}, 142 \mathrm{MeV}\right]$

- prompt and displaced searches
- improved mass resolution by kinematical fit to very narrow $D^{*}$ - (improve the Bremsstrahlung)

Ilten, Thaler, Williams, Xue, 1509.0675

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Ilten, Thaler, Williams, Xue, 1509.0675

## POSSIBLE IMPROVEMENTS



## SUMMARY



## SUMMARY

- we proposed an inclusive search strategy for dark photon at the LHCb experiment in the di-muon channel
- due to the kinetic mixing, the signal can be directly inferred from the $\gamma^{*} \rightarrow \mu^{+} \mu^{-}$rate, enabling a data-driven search
- we show that both prompt and displaced searches are sensitive to interesting regions in the $\mathrm{m}_{\mathrm{A}^{\prime}-\varepsilon^{2}}$ plane, which is difficult to probe in other experiments

BACKUP SLIDES

## PROMPT BACKGROUNDS

subtracting fake pions by using the same-sign sample:

$$
\begin{aligned}
& n_{ \pm \pm}^{\pi \pi}=\frac{n_{ \pm}^{\pi}\left(n_{ \pm}^{\pi}-1\right)}{2} \\
& n_{+-}^{\pi \pi}=n_{+}^{\pi} n_{-}^{\pi}
\end{aligned}
$$

number of same(opposite)
sign events per bin

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$$
n_{+-}^{\pi \pi} \approx 2 \sqrt{n_{++}^{\pi \pi} n_{--}^{\pi \pi}} \approx n_{++}^{\pi \pi}+n_{--}^{\pi \pi}
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number of same(opposite)
sign events per bin
generalize to all bins and for one fake:

$$
\begin{aligned}
& N_{+-}^{\pi \pi} \approx N_{++}^{\pi \pi}+N_{--}^{\pi \pi} \\
& N_{+-}^{\pi \mu} \approx N_{++}^{\pi \mu}+N_{--}^{\pi \mu}
\end{aligned}
$$

$$
B_{\mathrm{misID}}^{\pi \pi}+B_{\mathrm{misID}}^{\pi \mu} \approx N_{++}+N_{--}
$$

