

Update of $\sin(2\beta)$ from Run I using $B^0 \rightarrow [c\bar{c}]K_S$

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Measurements of $\sin(2\beta)$

- ▶ LHCb measurement using $B^0 \rightarrow J/\psi(\mu\mu)K_S$ 1 fb^{-1} [PLB721 (2013) 24-31]
- ▶ updated on 3 fb^{-1} [PRL 115, 031601 (2015)]

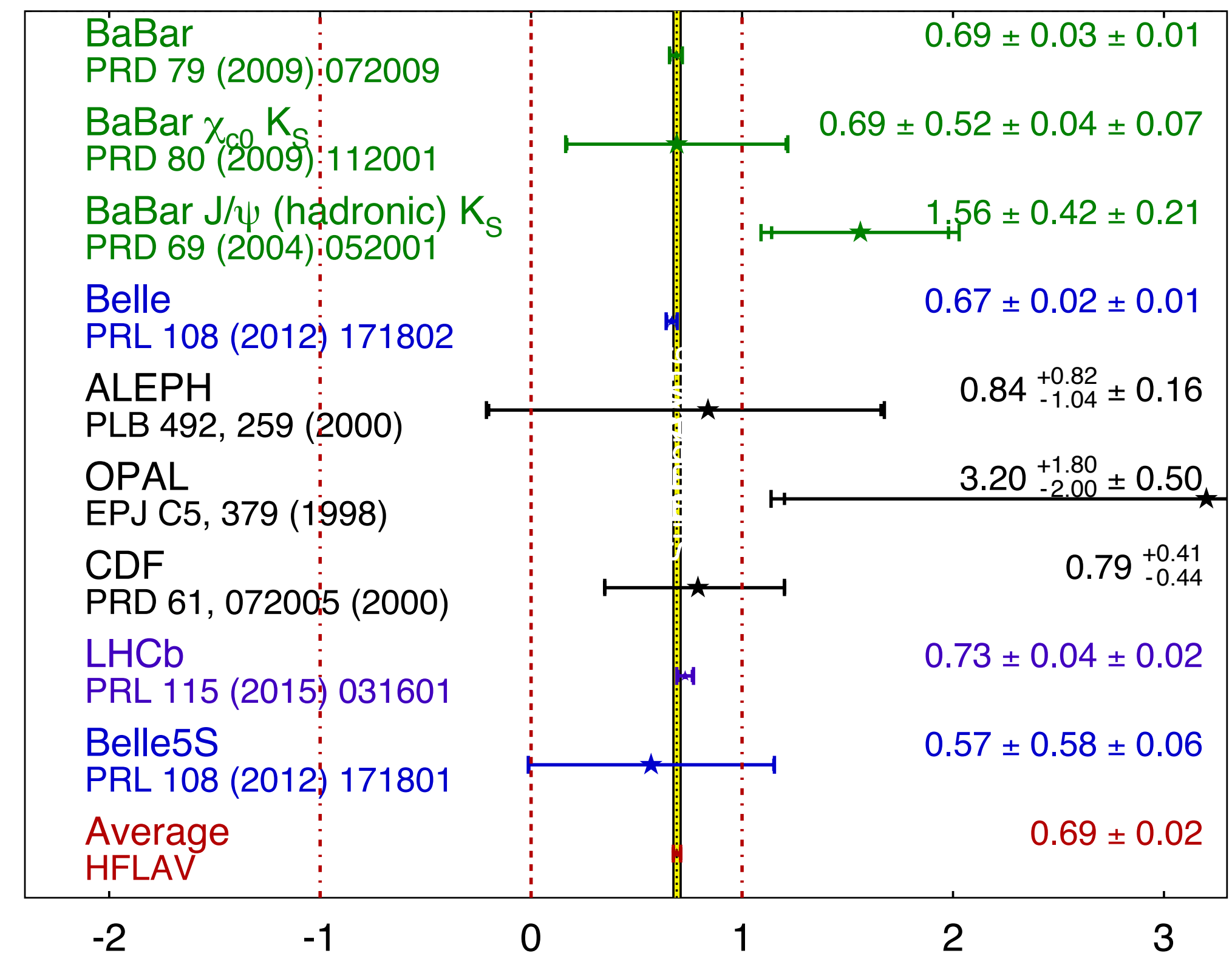
- $S = 0.731 \pm 0.035 \text{ (stat)} \pm 0.020 \text{ (syst)}$
- $C = -0.038 \pm 0.032 \text{ (stat)} \pm 0.005 \text{ (syst)}$

▶ aim: increase precision \rightarrow idea:

- include further final states
- higher charmonium resonances

➔ **CPV measurement in $B^0 \rightarrow J/\psi(\rightarrow ee)K_S$ and $B^0 \rightarrow \psi(2S)(\rightarrow \mu\mu)K_S$ using 3 fb^{-1} [arXiv:1709.03944]**

$\sin(2\beta) \equiv \sin(2\phi_1)$



[slac summer 2017 btoccs_CP]

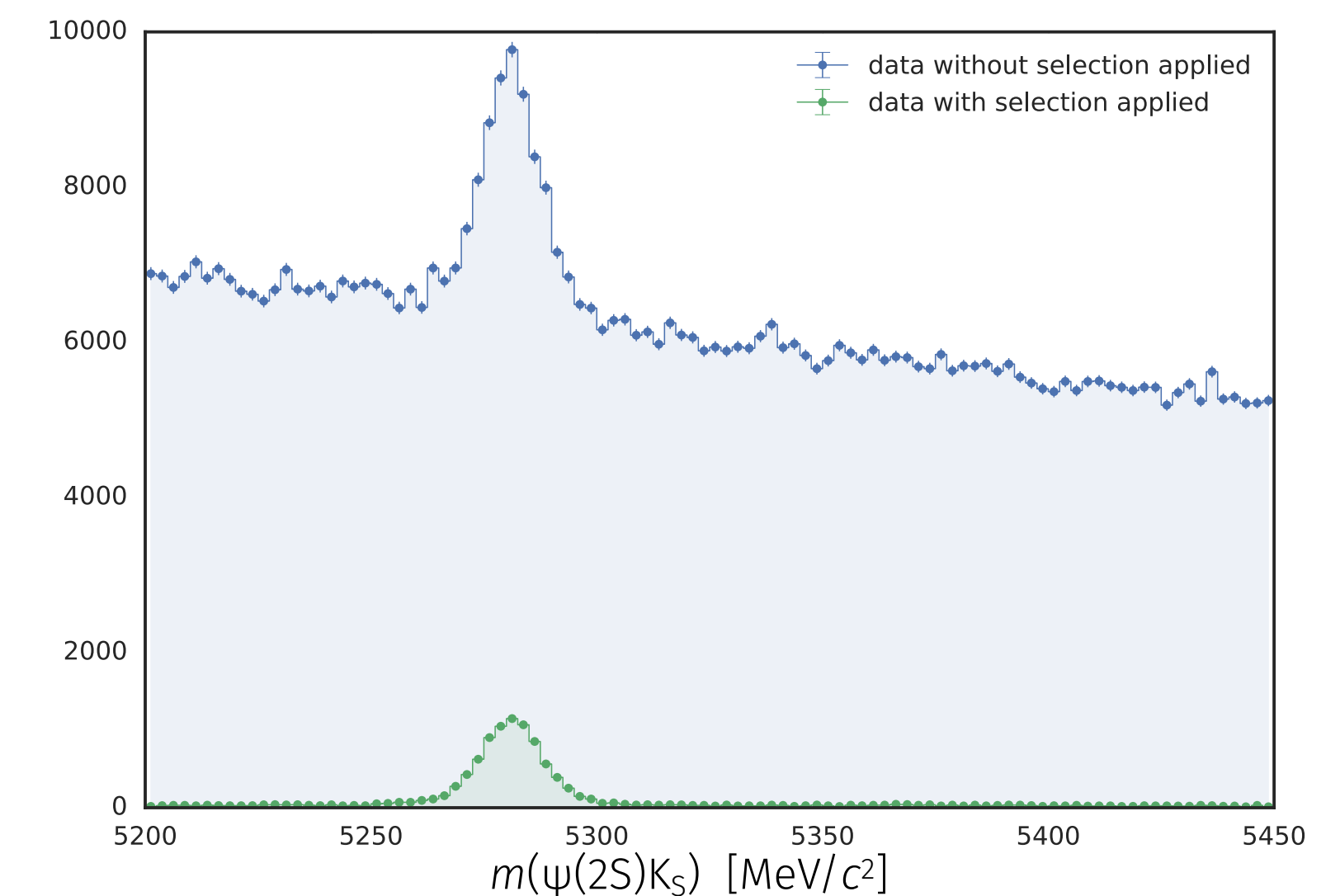
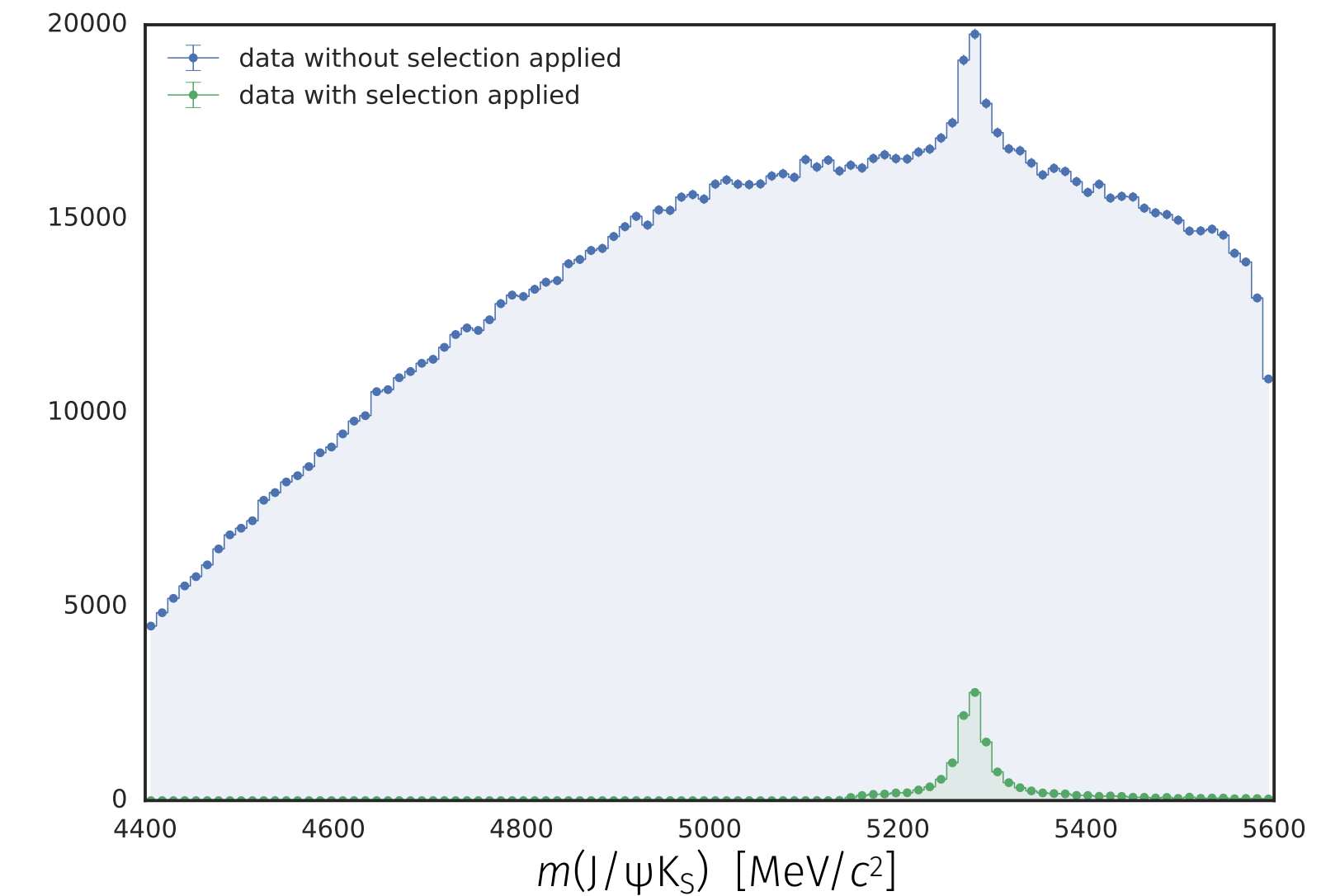


Analysis details

LHCb-ANA-2014-085

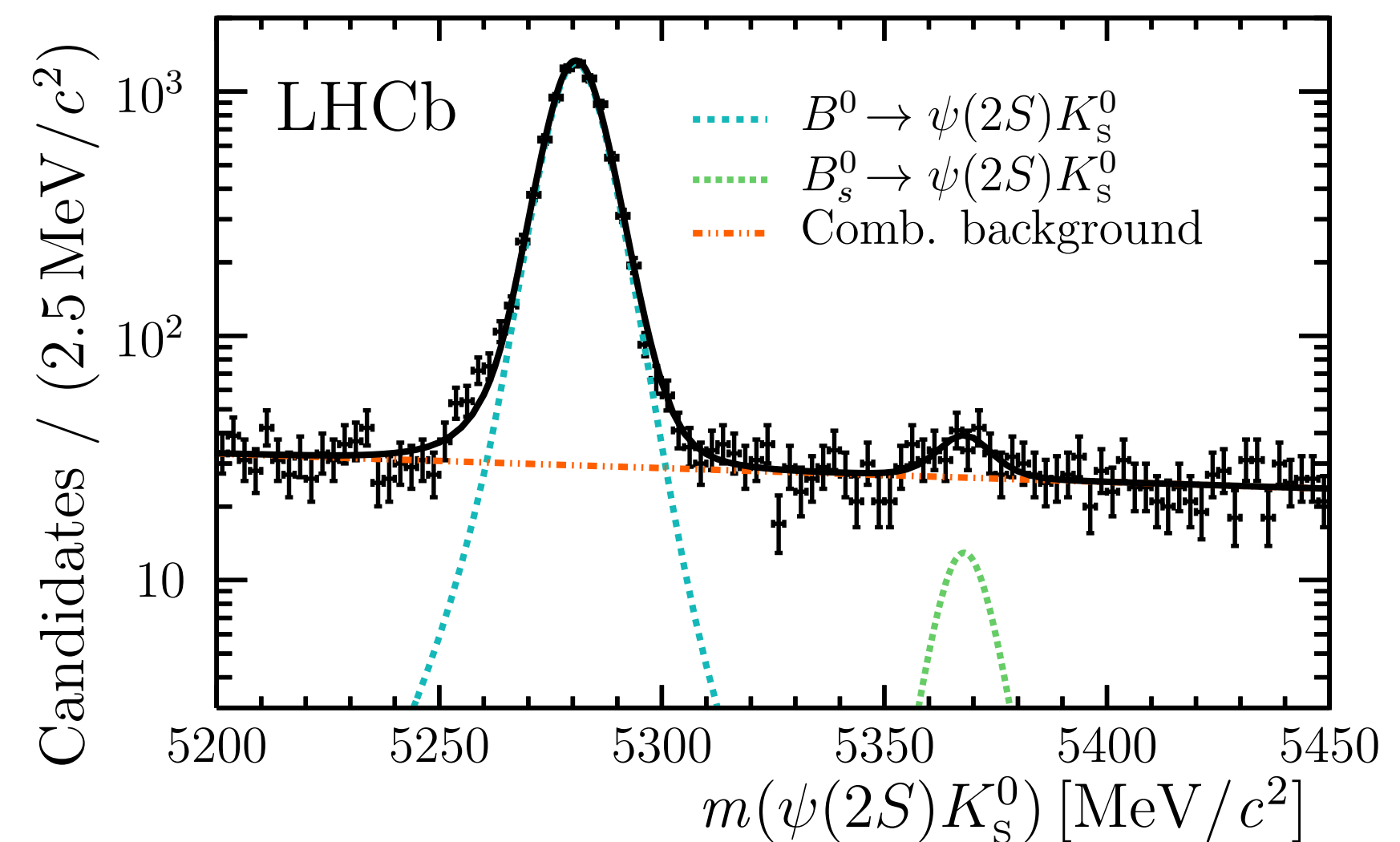
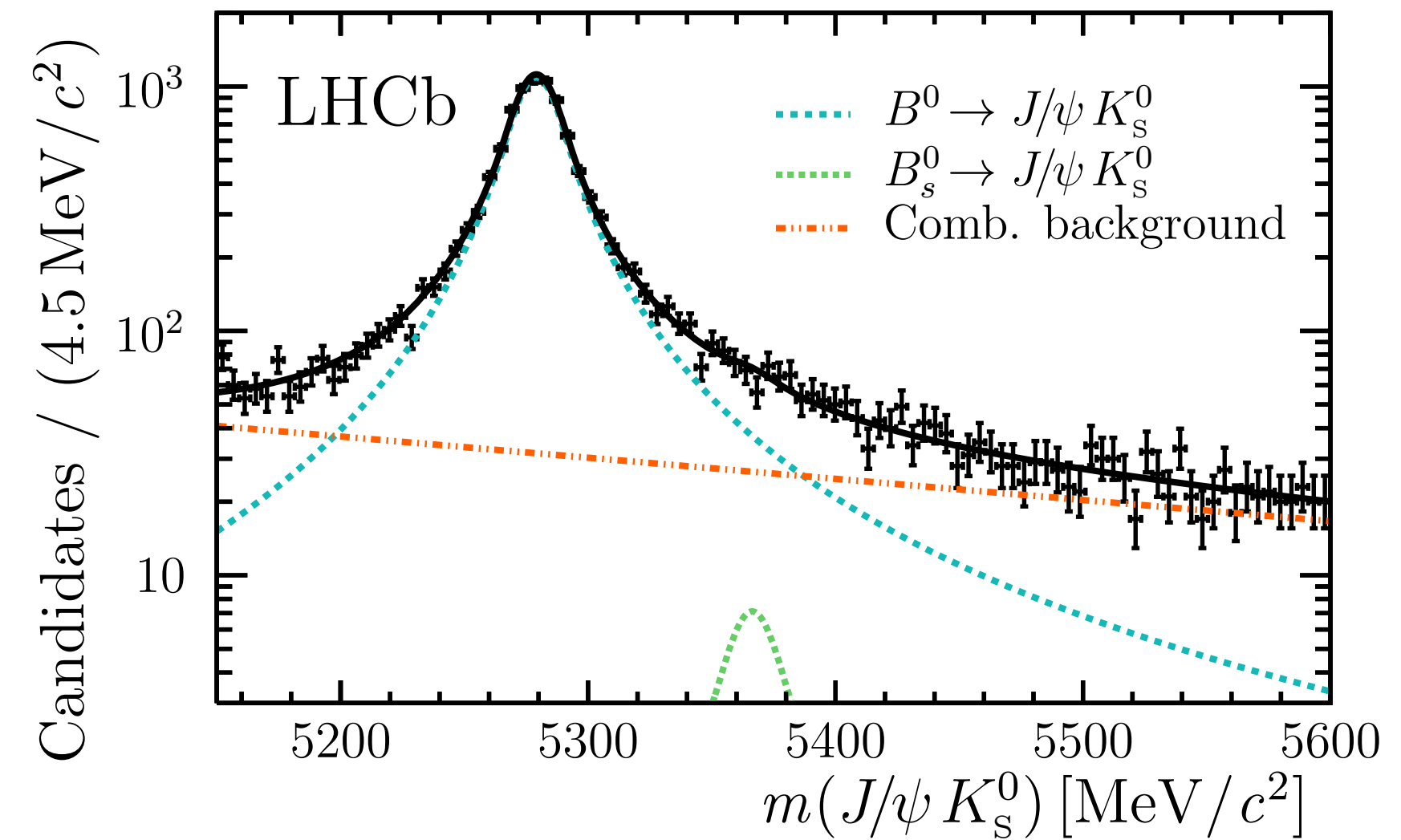
Offline Selection Strategy

- ▶ preselection
- ▶ boosted decision tree,
features exploit kinematic properties of
decay, vertex and track qualities
 - maximise expected sensitivity on
 CP parameter S
- ▶ veto peaking backgrounds
- ▶ remove multiple (B,PV) candidates



Nominal Massfits

- ▶ Hypatia [[arXiv:1312.5000](https://arxiv.org/abs/1312.5000)] shape parameters fixed to values from MC, except width
- ▶ $N(B^0 \rightarrow J/\psi K_S) = 10629 \pm 140$
 $N(B_S \rightarrow J/\psi K_S) = 70 \pm 41$
 $N(\text{BKG}) = 2696 \pm 109$
- ▶ $N(B^0 \rightarrow \Psi(2S)K_S) = 7970 \pm 100$
 $N(B_S \rightarrow \Psi(2S)K_S) = 79 \pm 19$
 $N(\text{BKG}) = 2797 \pm 69$
- ▶ *sWeights* are used in the *CP* fit



[arXiv:1709.03944]

Decay Time Fit — “CP PDF”

$$\mathcal{P}(t, \vec{d} | \sigma_t, \vec{\eta}) \propto \overset{\text{acceptance}}{\boxed{\varepsilon(t)}} \cdot \left(\overset{\text{CP PDF}}{\boxed{\mathcal{P}(t', \vec{d} | \vec{\eta})}} \otimes \overset{\text{resolution}}{\boxed{\mathcal{R}(t - t' | \sigma_t)}} \right)$$

► including

- true decay time t' , reconstructed decay time t
- tag decision $\vec{d} = (d_{OS}, d_{SS})$ and per-event mistag $\vec{\eta} = (\eta_{OS}, \eta_{SS})$
- decay-time acceptance $\varepsilon(t)$ described by cubic splines
- decay-time resolution $R(t-t' | \sigma_t)$ described by triple Gaussian model

Flavour Tagging Strategy & Performance

► using

- OS combination:
OS_e, OS_μ, OS_K, OS_{VtxCh}, OS_c
- SS combination:
SS_{πBDT}, SS_p

► calibration channels

- $B^+ \rightarrow J/\psi(\rightarrow ee/\mu\mu)K^+$ (OS)
- $B^0 \rightarrow J/\psi(\rightarrow ee/\mu\mu)K^*$ (SS)

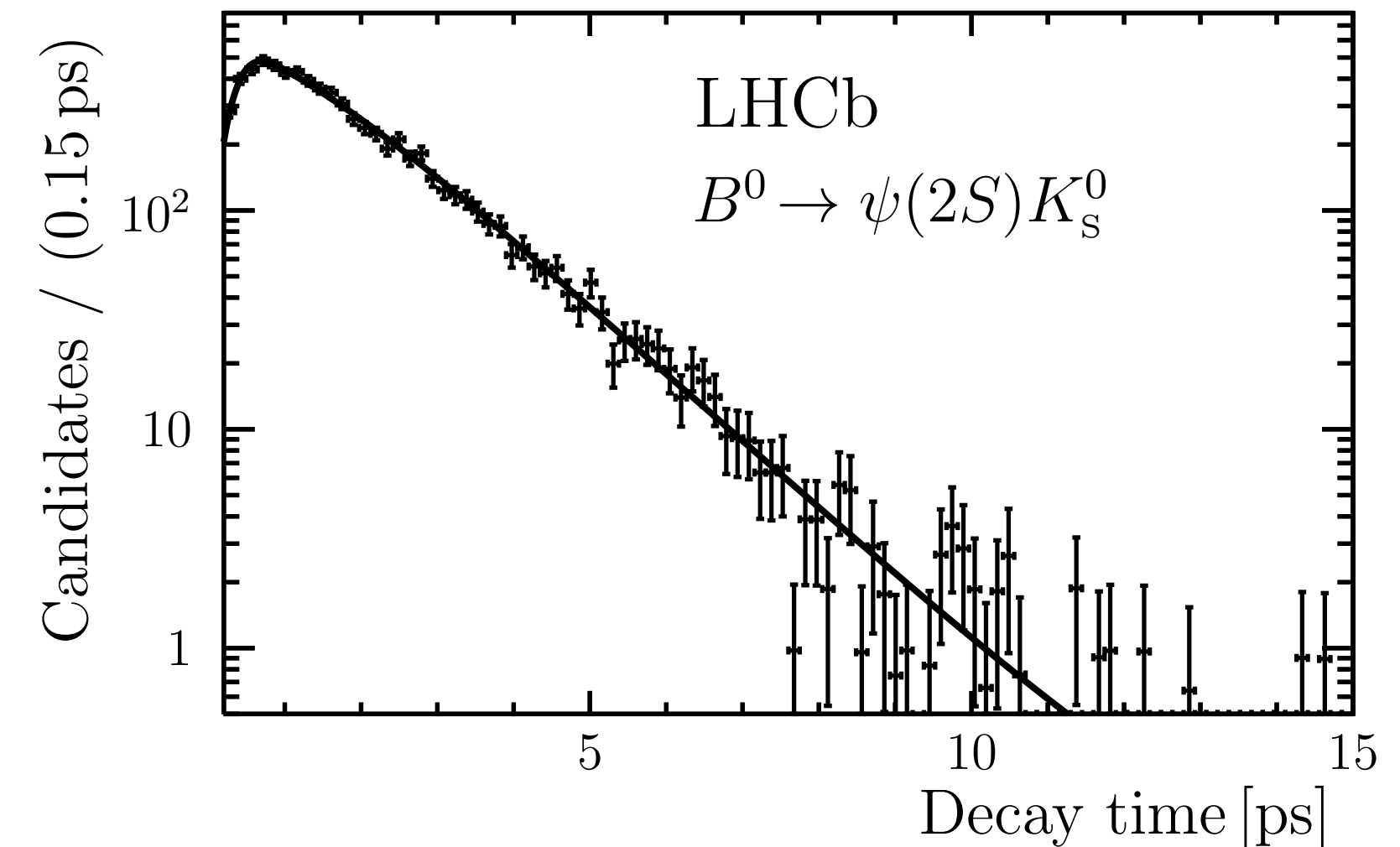
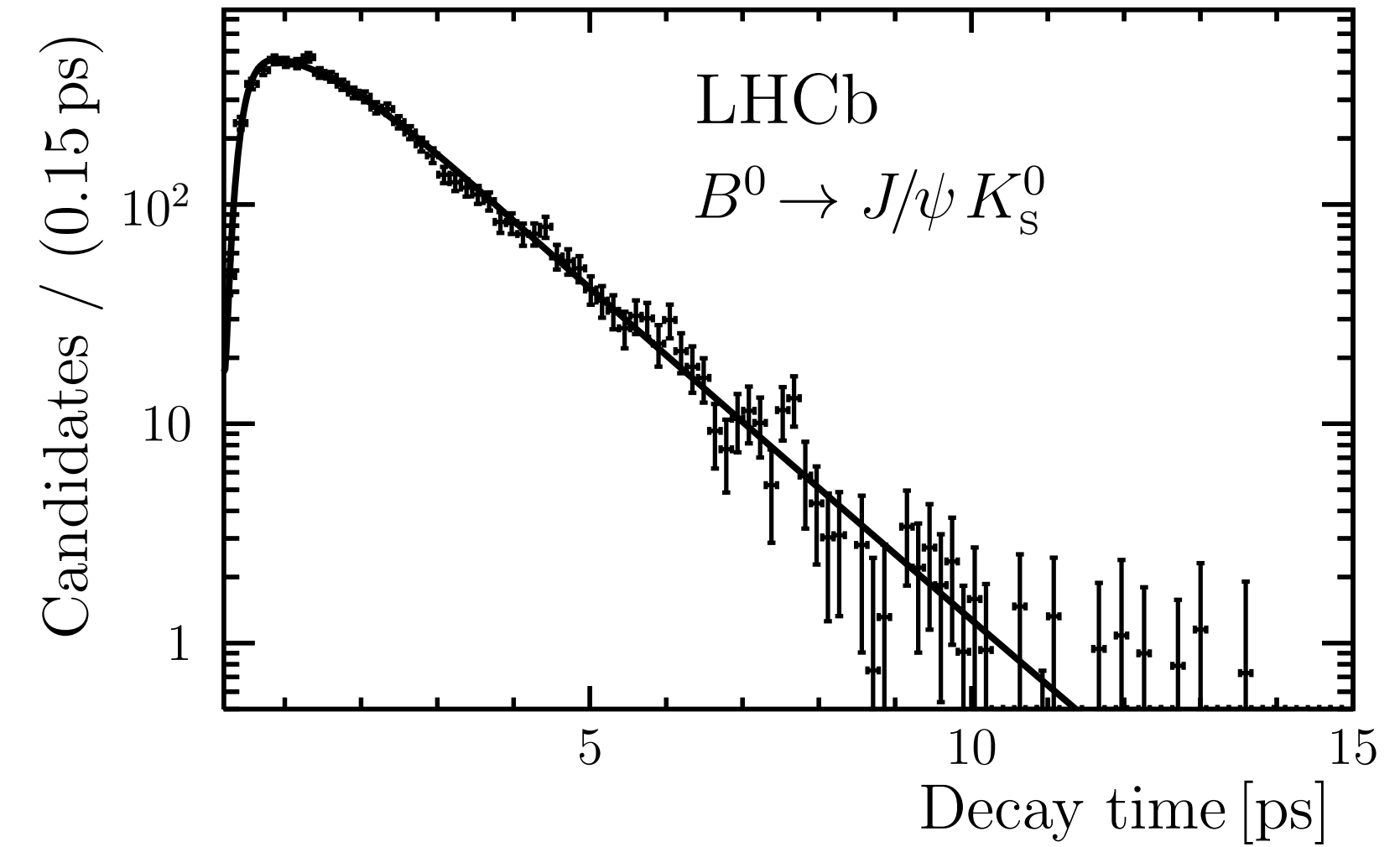
Run I $B^0 \rightarrow J/\psi(\mu\mu)K_S$
had total of 3.02 %

	$B^0 \rightarrow J/\psi K_S$	$B^0 \rightarrow \psi(2S)K_S$
OS inclusive	3.60 %	2.46 %
SS inclusive	2.40 %	1.07 %
OS+SS	5.93 %	3.42 %

CP fit

- ▶ simultaneous maximum likelihood fit
- ▶ constrained $\tau_d, \Delta m_d, A_P$, FT calibration
- ▶ A_P computed using [arXiv:1703.08464](https://arxiv.org/abs/1703.08464)
- ▶ fixed decay-time resolution
- ▶ float acceptance parameters & S, C

$$\begin{aligned}
 C(B^0 \rightarrow J/\psi K_S^0) &= 0.12 \pm 0.07 \\
 S(B^0 \rightarrow J/\psi K_S^0) &= 0.83 \pm 0.08 \\
 C(B^0 \rightarrow \psi(2S) K_S^0) &= -0.05 \pm 0.10 \\
 S(B^0 \rightarrow \psi(2S) K_S^0) &= 0.84 \pm 0.10
 \end{aligned}$$



[arXiv:1709.03944]



Results

Combinations

Conclusion

Results

- ▶ systematic uncertainties:
evaluated using pseudoexperiments
with alternative assumptions
- ▶ to account for:
 - influence of constrained parameters
 - MC-data differences

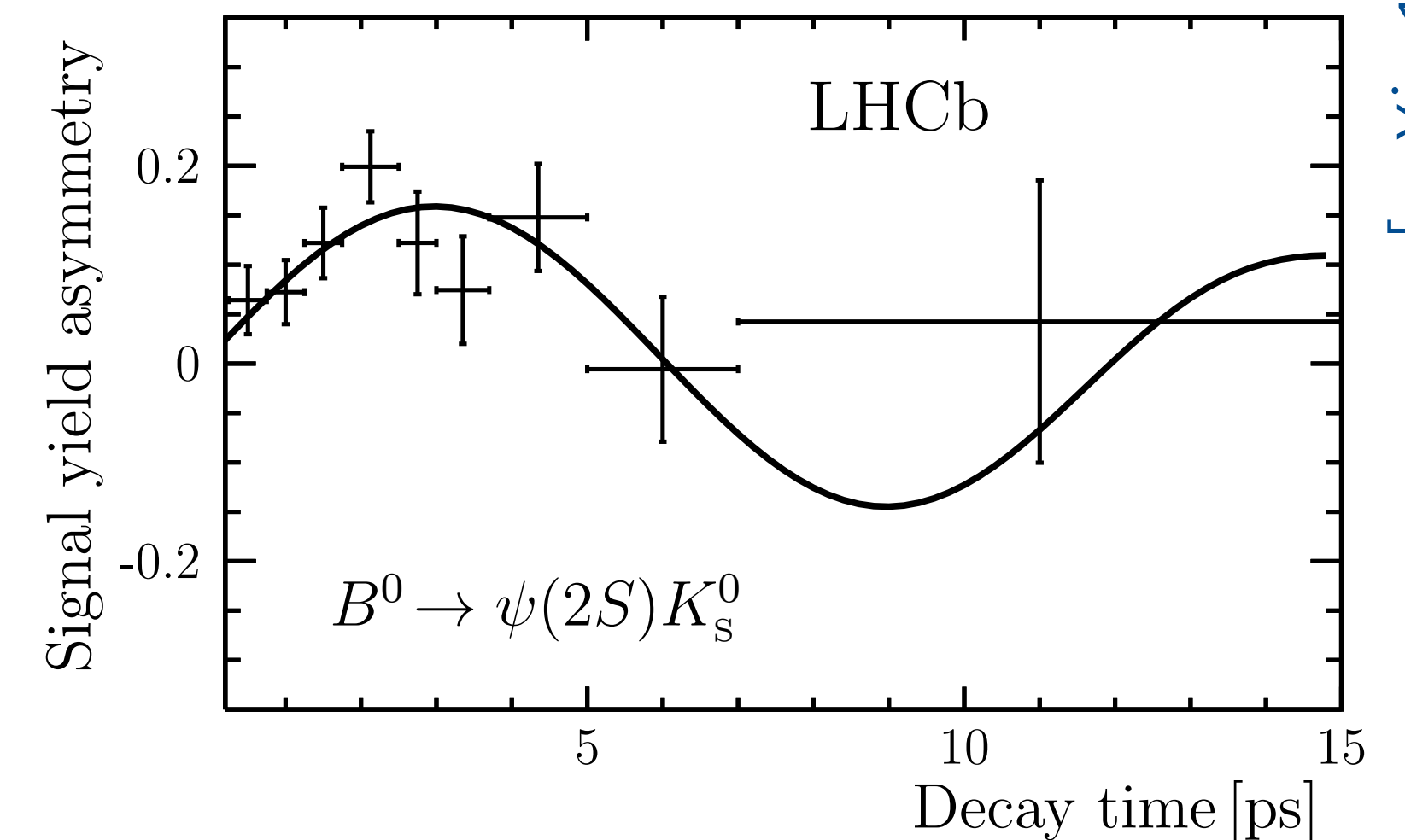
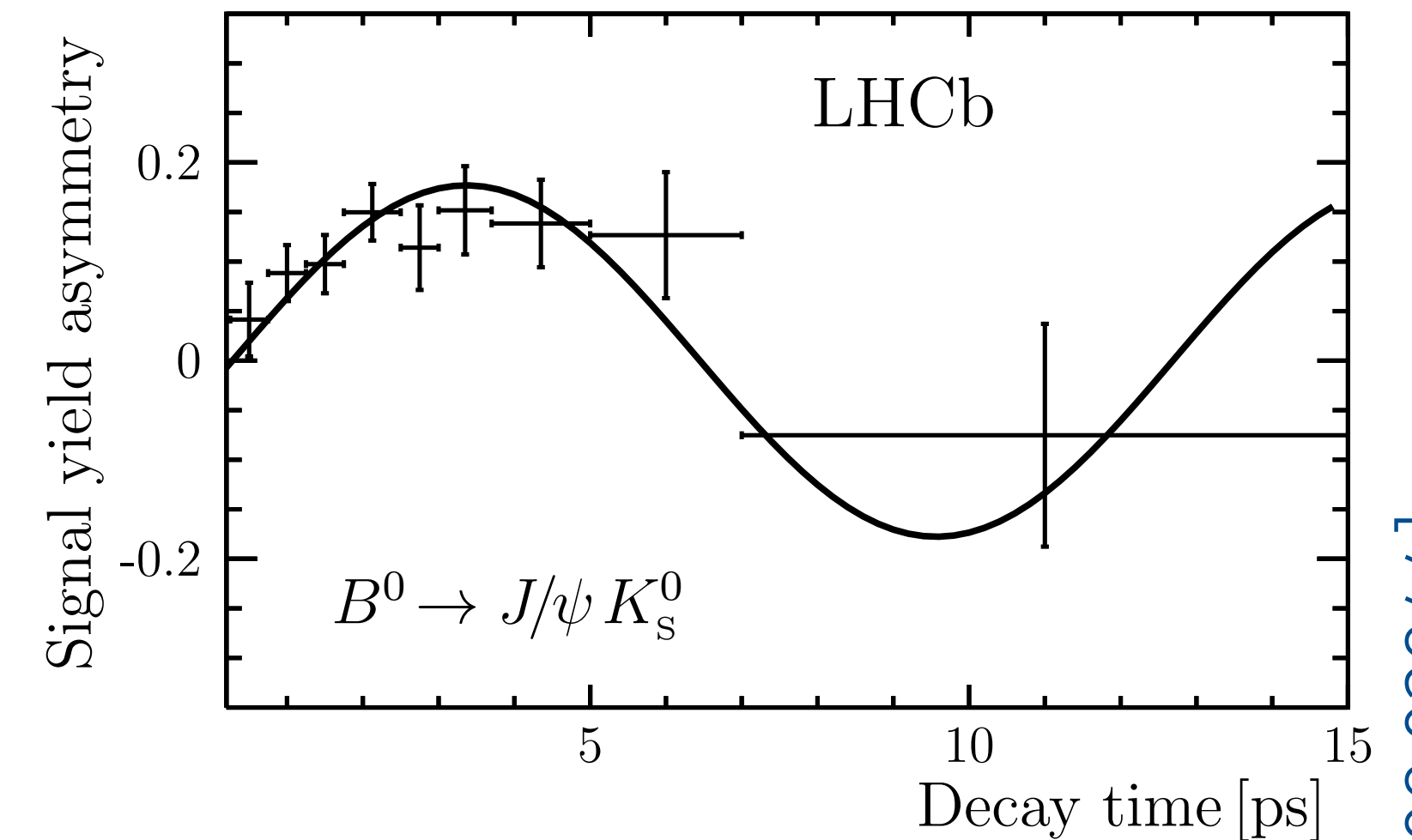
- ▶ results:

$$C(B^0 \rightarrow J/\psi K_S^0) = 0.12 \pm 0.07 \pm 0.02$$

$$S(B^0 \rightarrow J/\psi K_S^0) = 0.83 \pm 0.08 \pm 0.01$$

$$C(B^0 \rightarrow \psi(2S) K_S^0) = -0.05 \pm 0.10 \pm 0.01$$

$$S(B^0 \rightarrow \psi(2S) K_S^0) = 0.84 \pm 0.10 \pm 0.01$$



[arXiv:1709.03944]

Combinations

- ▶ used GammaCombo framework for 2D likelihood scans
- ▶ two combinations are published

- $B^0 \rightarrow J/\psi K_S$ combination from $\mu\mu$ and ee mode:

$$C(B^0 \rightarrow J/\psi K_S^0) = -0.014 \pm 0.030$$

$$S(B^0 \rightarrow J/\psi K_S^0) = 0.75 \pm 0.04$$

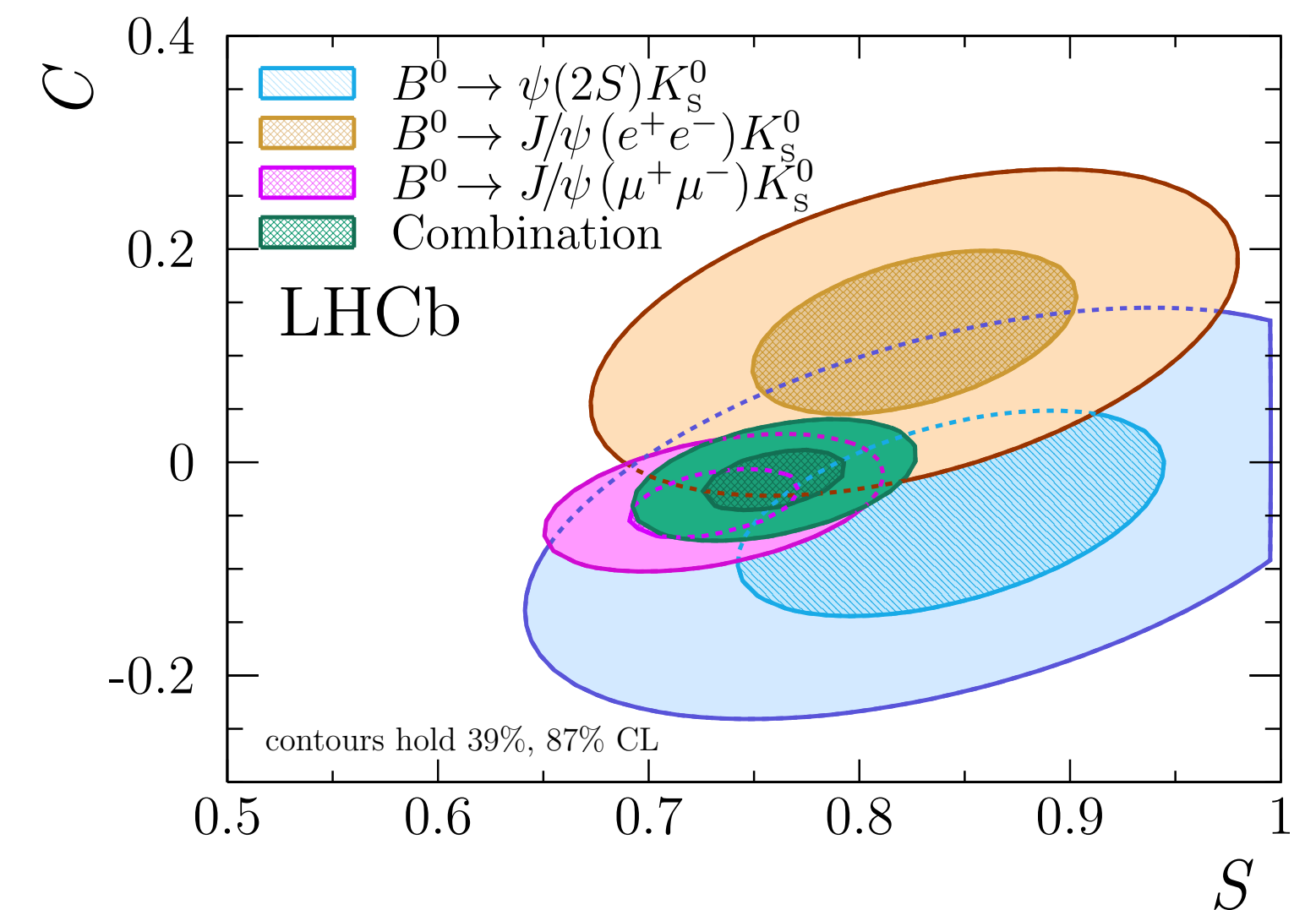
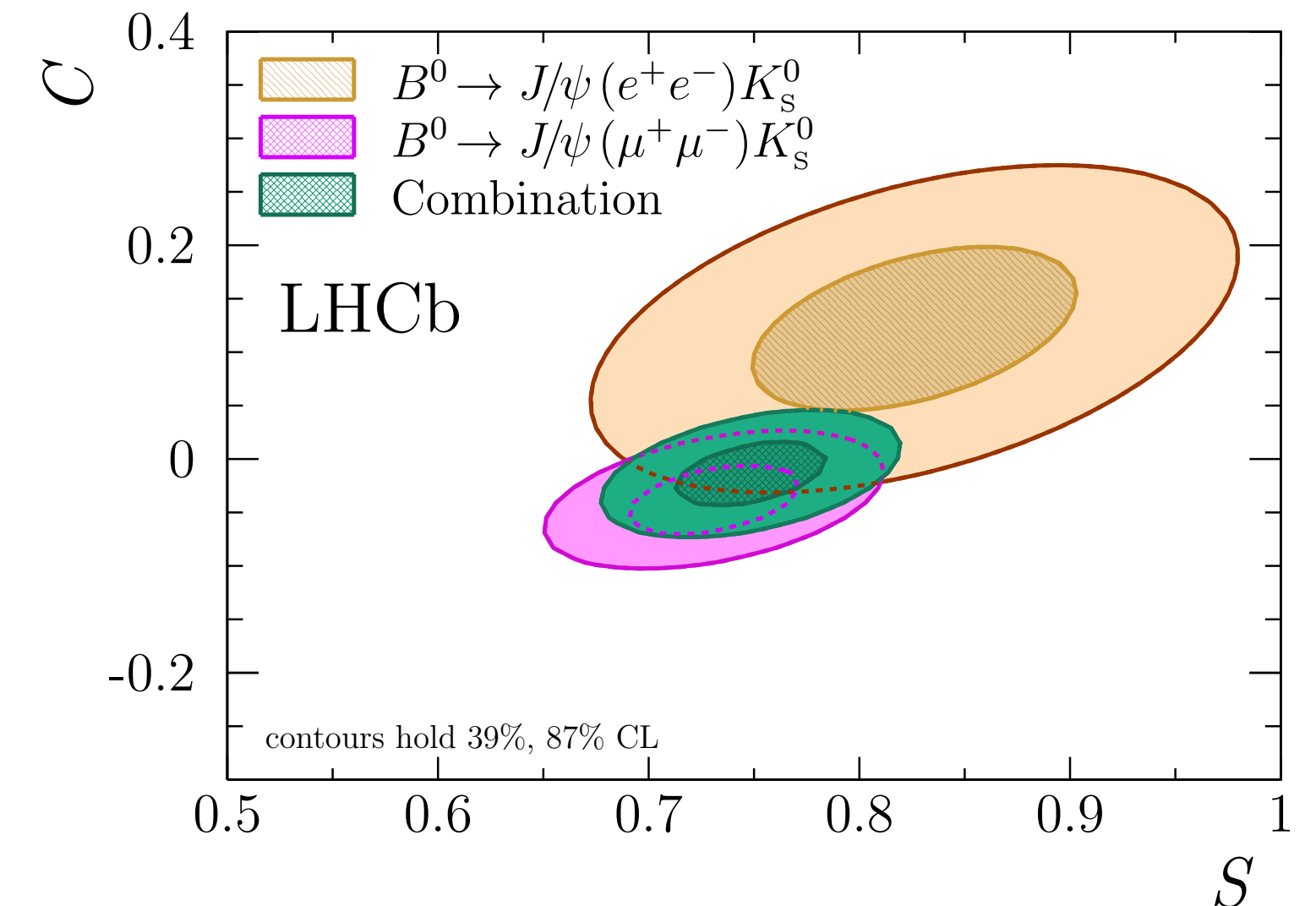
- LHCb average of all charmonium modes, i.e. $J/\psi(\mu\mu, ee)$, $\psi(2S)(\mu\mu)$:

$$C(B^0 \rightarrow [c\bar{c}]K_S^0) = -0.017 \pm 0.029$$

$$S(B^0 \rightarrow [c\bar{c}]K_S^0) = 0.760 \pm 0.034$$

- ▶ consistent with indirect measurements by the

- CKMfitter group $S = 0.740^{+0.020}_{-0.025}$
- UTfit collaboration $S = 0.73 \pm 0.04$



[arXiv:1709.03944]

Conclusion

- ▶ successfully performed first time-dependent measurement of CPV in an electron channel at a hadron collider
- ▶ LHCb is working at the "precision frontier"
- ▶ measurement improves precision at LHCb by 20%
- ▶ measurement will improve precision of the world average
 - current WA: $S(B^0 \rightarrow [c\bar{c}]K_S) = 0.69 \pm 0.02$ [HFLAV]
- ▶ published on [arXiv](#), submitted to JHEP

- ▶ Run II will be very promising, stay tuned!



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Backup

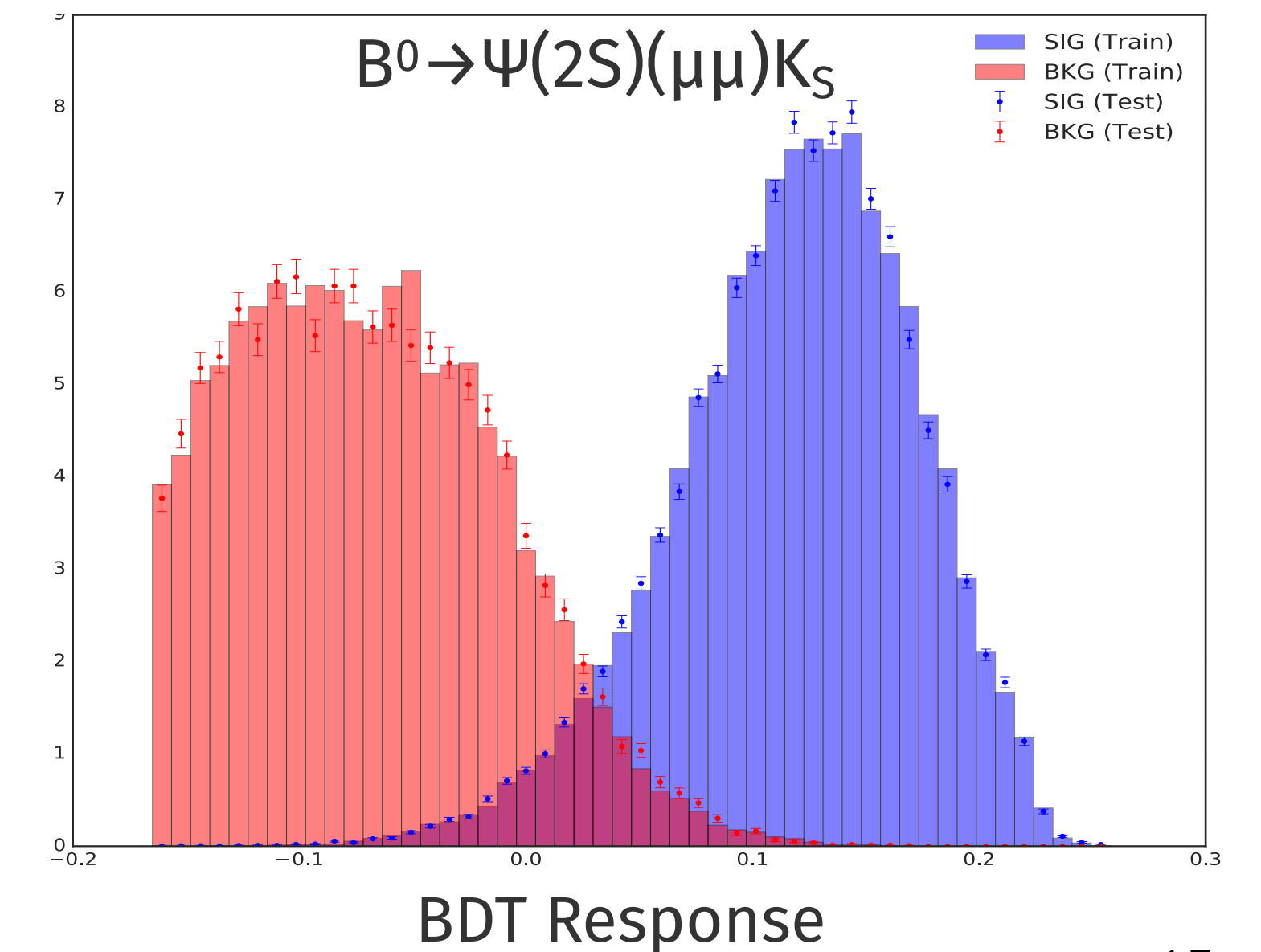
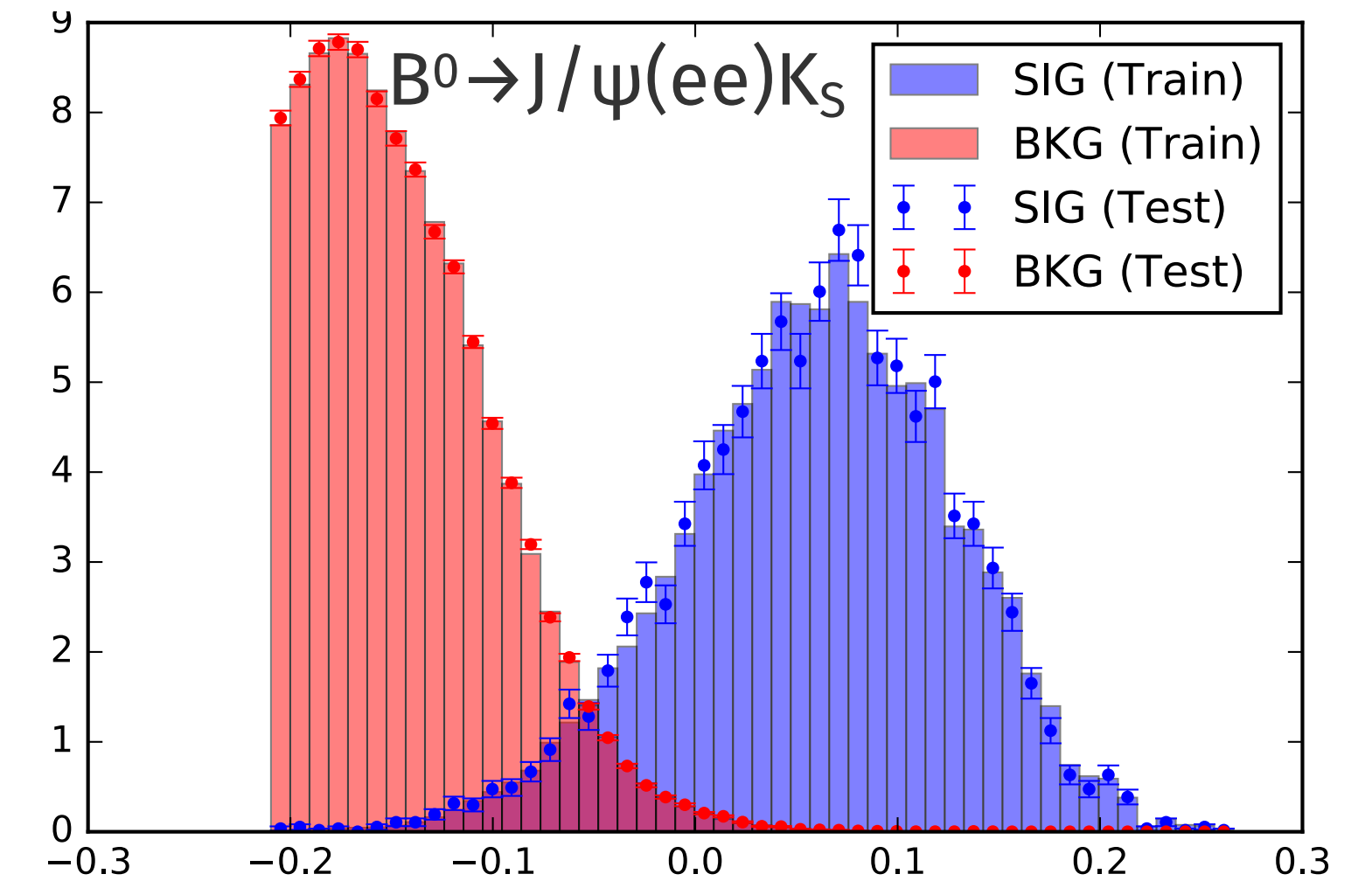


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Selection

Selection (BDT)

- ▶ BDT features contain:
 - minimum IP χ^2 of e, π , K_S , J/ψ , $\Psi(2S)$ and B
 - K_S decay time significance
 - p_T of B, K_S , J/ψ
 - χ^2 of DTF and vertices
- ▶ Training sample consists of
 - Data upper mass sideband $>5600\text{MeV}$ / $>5450\text{MeV}$ for $B^0 \rightarrow J/\psi(ee)K_S$ / $B^0 \rightarrow \psi(2S)(\mu\mu)K_S$
 - Simulated data



BDT Cutpoint Optimization

- ▶ Perform scans in BDT response
- ▶ Fit reconstructed B mass for *sWeights*
 - Ipatia for Signal (Shape from MC)
 - Exponential for Background
- ▶ Use *sWeights* to compute FOM Q_{mod}

$$Q_{\text{mod}} = \frac{(\sum_i s_{w_i})^2}{\sum_i s_{w_i}^2} \bar{D}^{\text{mod}} \quad \text{Effective Signal Size} \quad \text{Tagging Power} \quad \text{Resolution Power} \quad N_{\text{EffSig}} = \frac{(\sum_i s_{w_i})^2}{\sum_i s_{w_i}^2}$$

$$\bar{D}^{\text{mod}} = \frac{1}{\sum_i s_{w_i}} \sum_i (1 - 2\omega_i)^2 e^{-(\Delta m_d \sigma(t_i))^2} \cdot X_i \cdot s_{w_i}$$

$$X_i = \left[\frac{\sin(\Delta m_d \cdot t_i)}{1 + q_i(1 - 2\omega_i) \cdot S \cdot e^{-(\Delta m_d \sigma(t_i))^2/2} \cdot \sin \Delta m_d t_i} \right]^2 \quad \text{sin}(2\beta) \text{ Term ("X")}$$

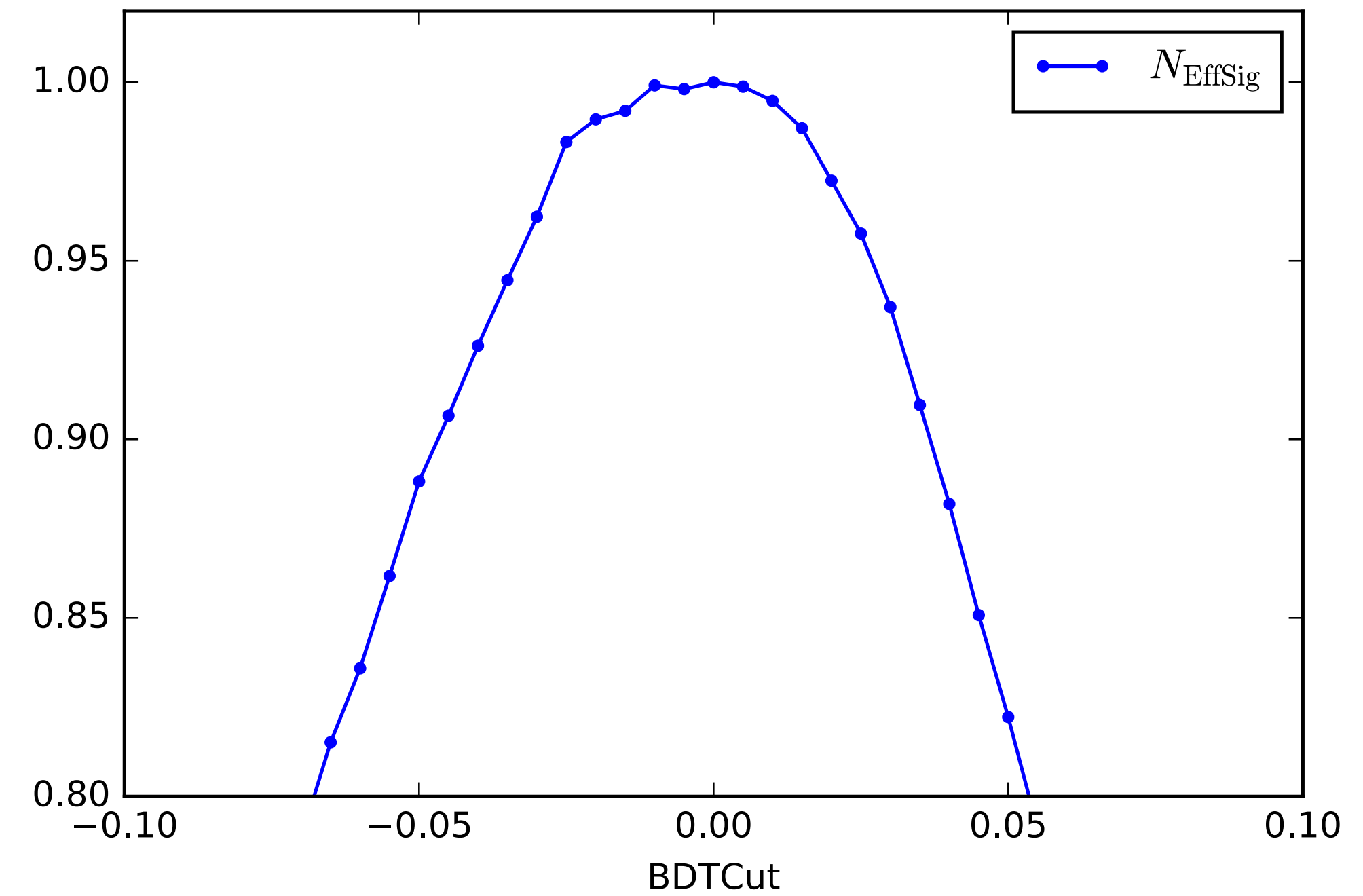
based on LHCb-INT-2009-12, extended by *sWeights*, 1bin only

Selection Optimization (FOM)

- ▶ Maximum effective signal size of 7825 @BDTCut 0.0

$$N_{\text{sig}} = 11267$$

$$N_{\text{bkg}} = 5001$$



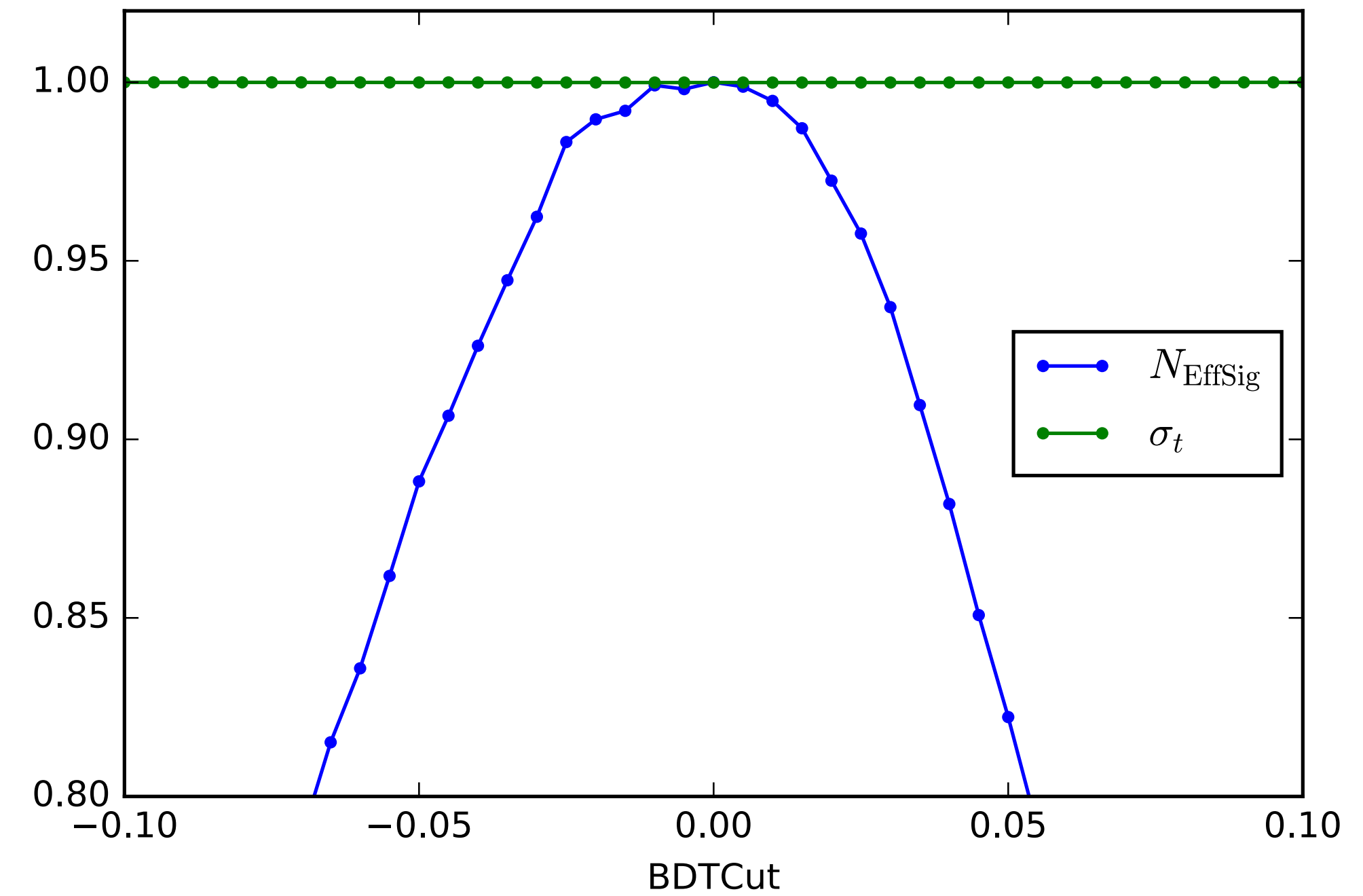
$$Q_{\text{mod}} = \frac{(\sum_i s w_i)^2}{\sum_i s w_i^2} \bar{D}^{\text{mod}}$$

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Selection Optimization (FOM)

- ▶ Maximum effective signal size of 7825 @BDTCut 0.0
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- ▶ Resolution of no importance



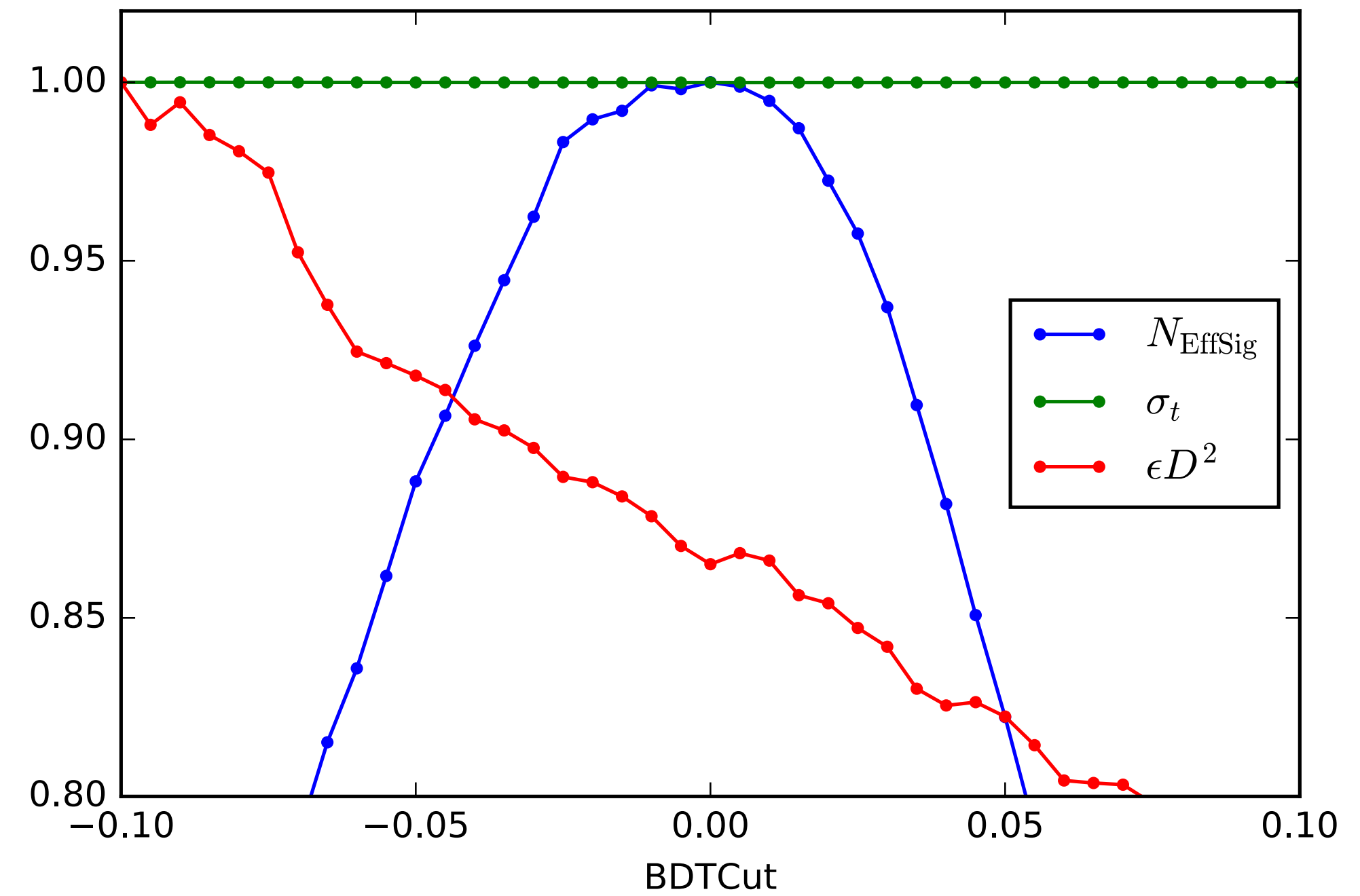
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- ▶ Tagging Power decreases (OS standard combination, uncalibrated)



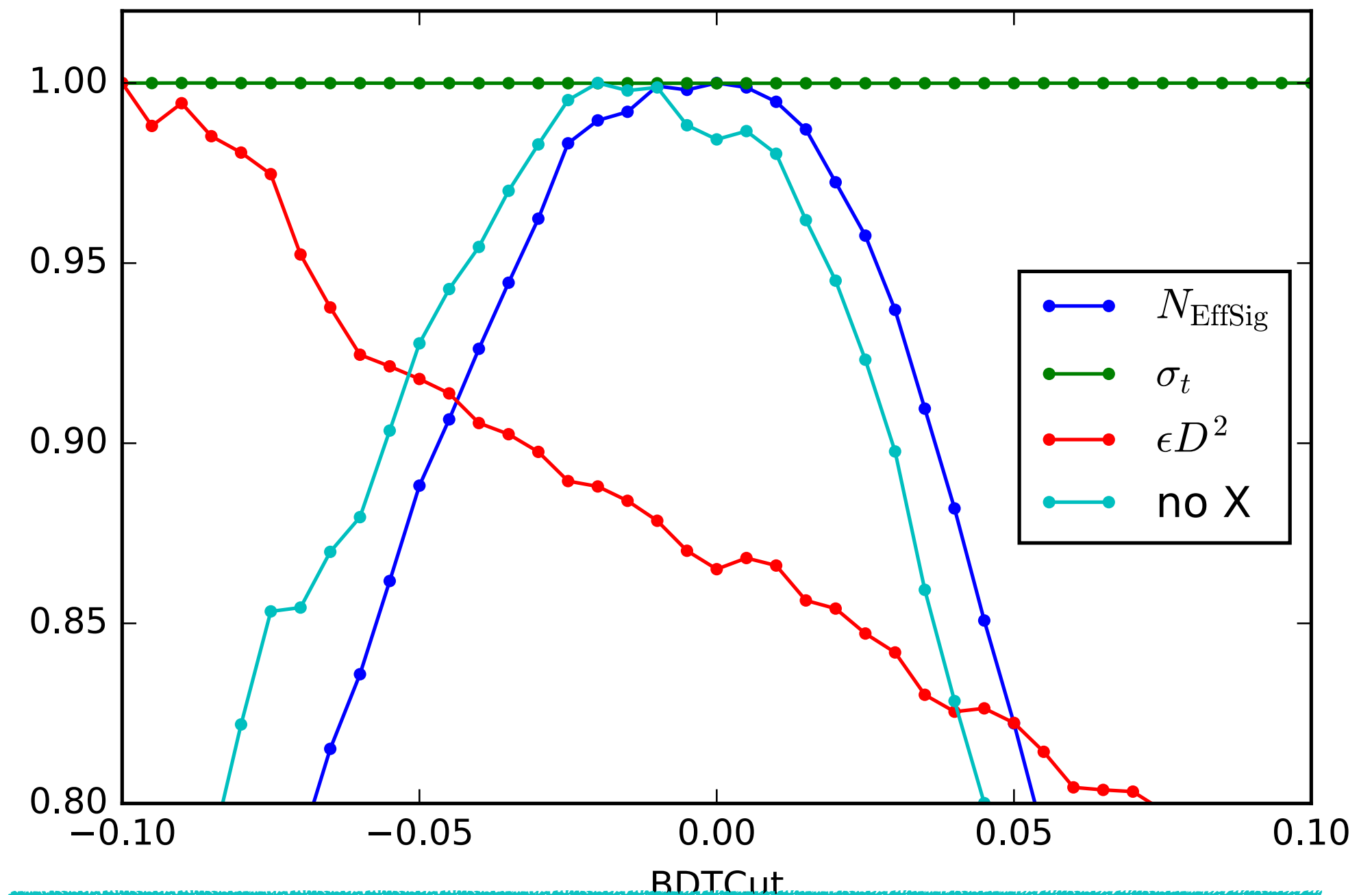
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- ▶ Sophisticated FOM accounts for this loss



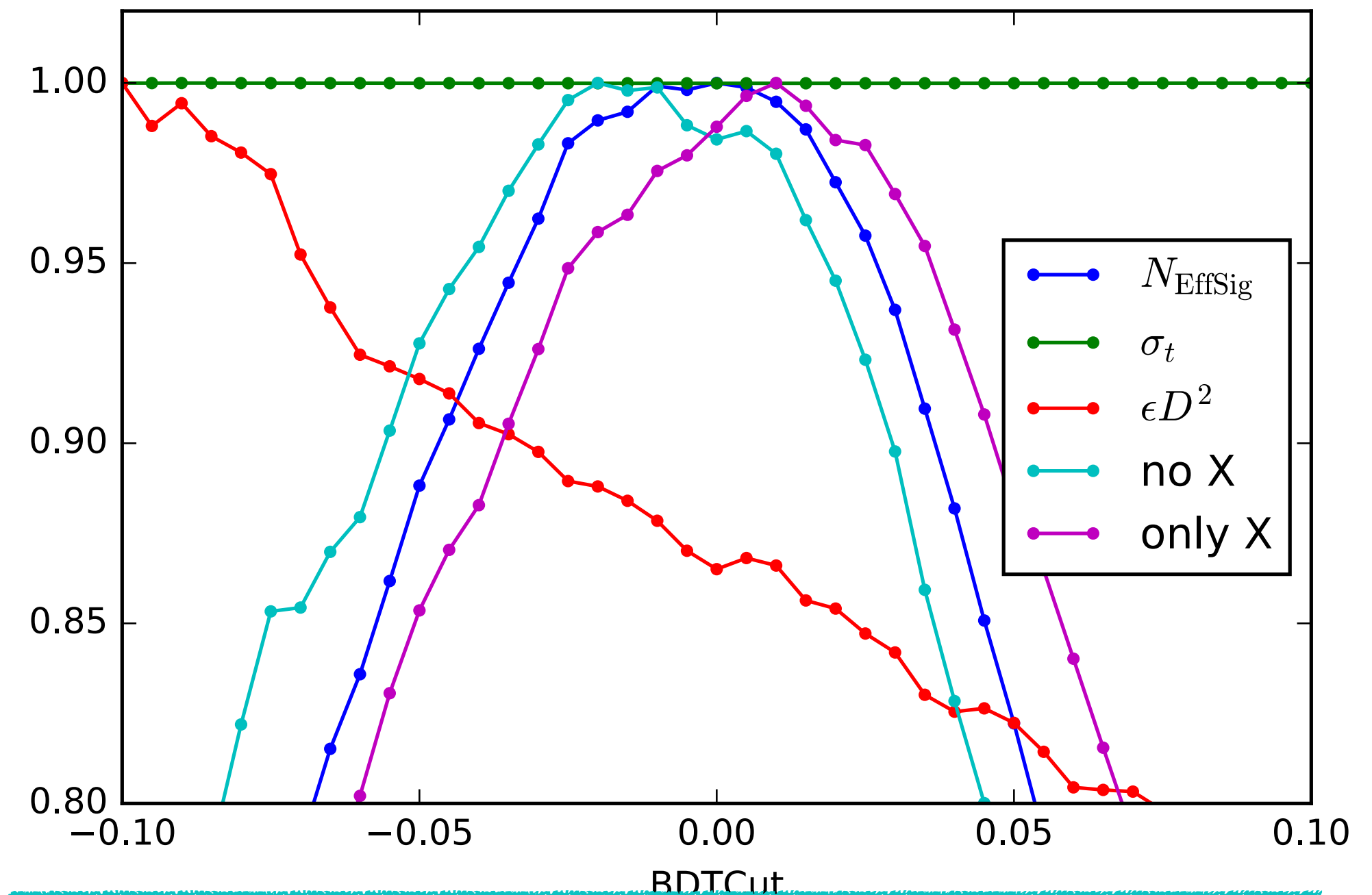
$$Q_{\text{mod}} = \frac{(\sum_i s w_i)^2}{\sum_i s w_i^2} \bar{D}^{\text{mod}} \quad = 1$$

$$\bar{D}^{\text{mod}} = \frac{1}{\sum_i s w_i} \sum_i (1 - 2\omega_i)^2 e^{-(\Delta m_d \sigma(t_i))^2} \cdot X_i \cdot s w_i \quad \uparrow$$

$$X_i = \left[\frac{\sin(\Delta m_d \cdot t_i)}{1 + q_i(1 - 2\omega_i) \cdot S \cdot e^{-(\Delta m_d \sigma(t_i))^2/2} \cdot \sin \Delta m_d t_i} \right]^2$$

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- ▶ X term cuts harder due to decay-time bias of BDT



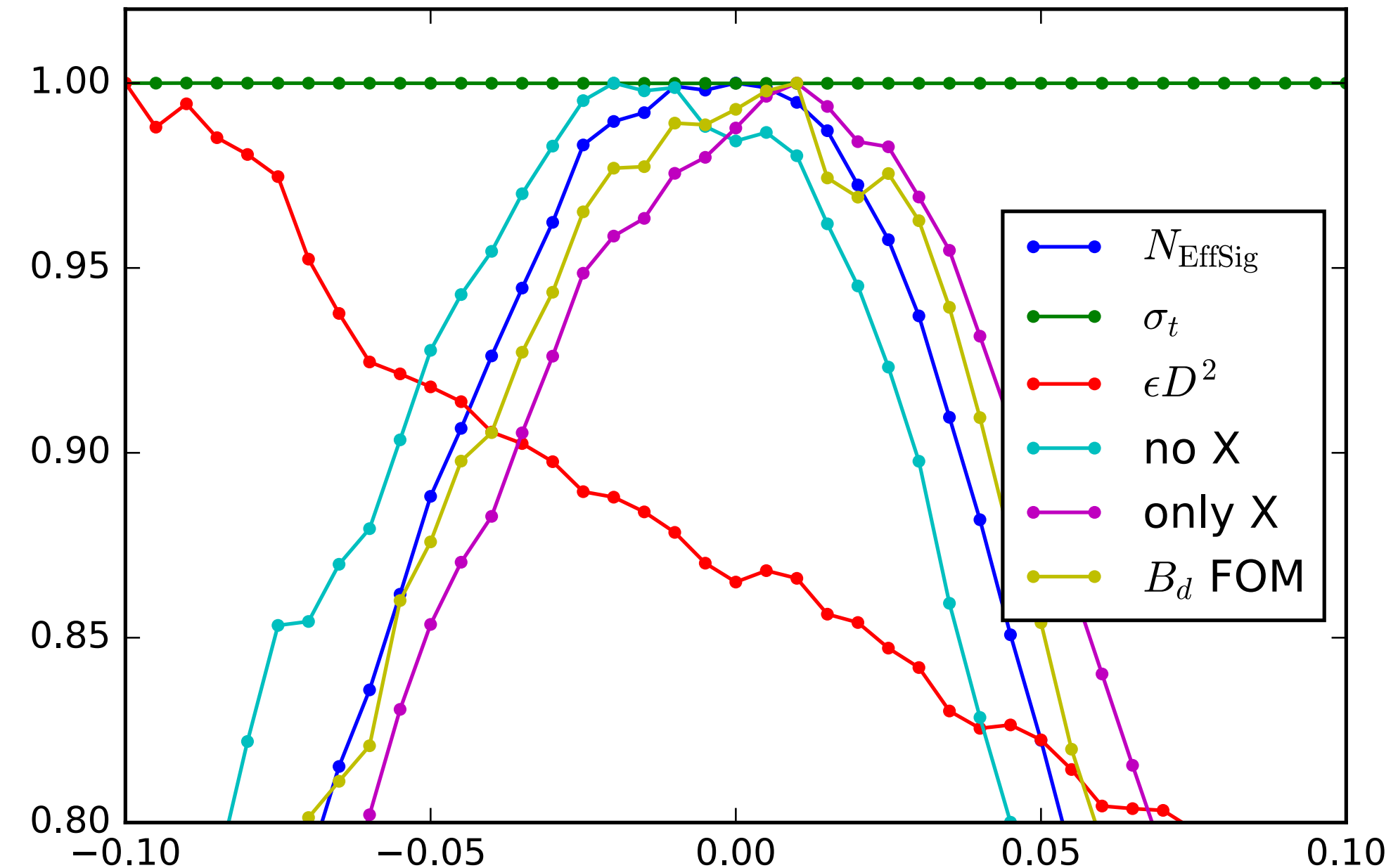
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- ▶ Sophisticated FOM accounts for this loss
- ▶ X term cuts harder due to decay-time bias of BDT
- ▶ B_d FOM dominated by X \rightarrow Cut 0.01



$$Q_{\text{mod}} = \frac{(\sum_i s w_i)^2}{\sum_i s w_i^2} \bar{D}^{\text{mod}} = 1$$

$$\bar{D}^{\text{mod}} = \frac{1}{\sum_i s w_i} \sum_i (1 - 2\omega_i)^2 e^{-(\Delta m_d \sigma(t_i))^2} X_i \cdot s w_i$$

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Decay-time Description

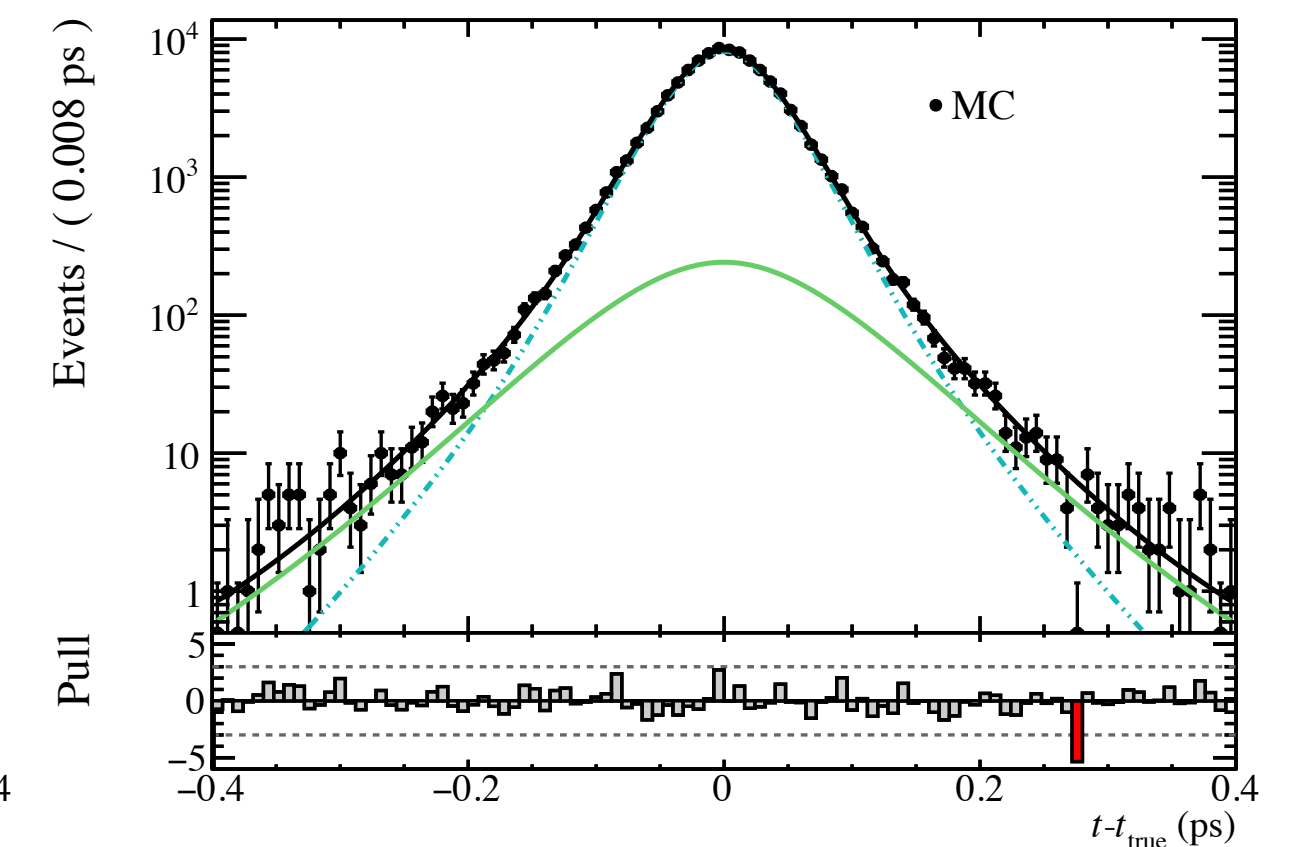
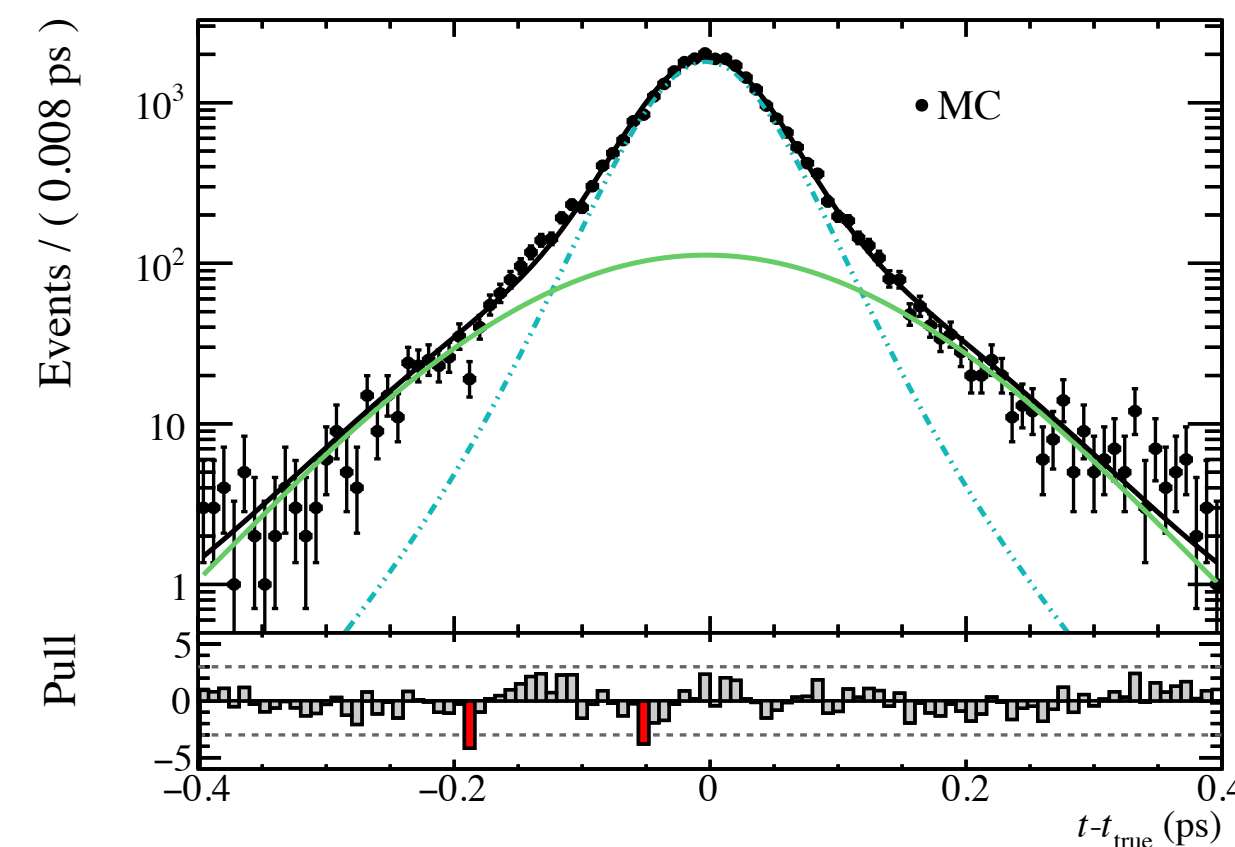
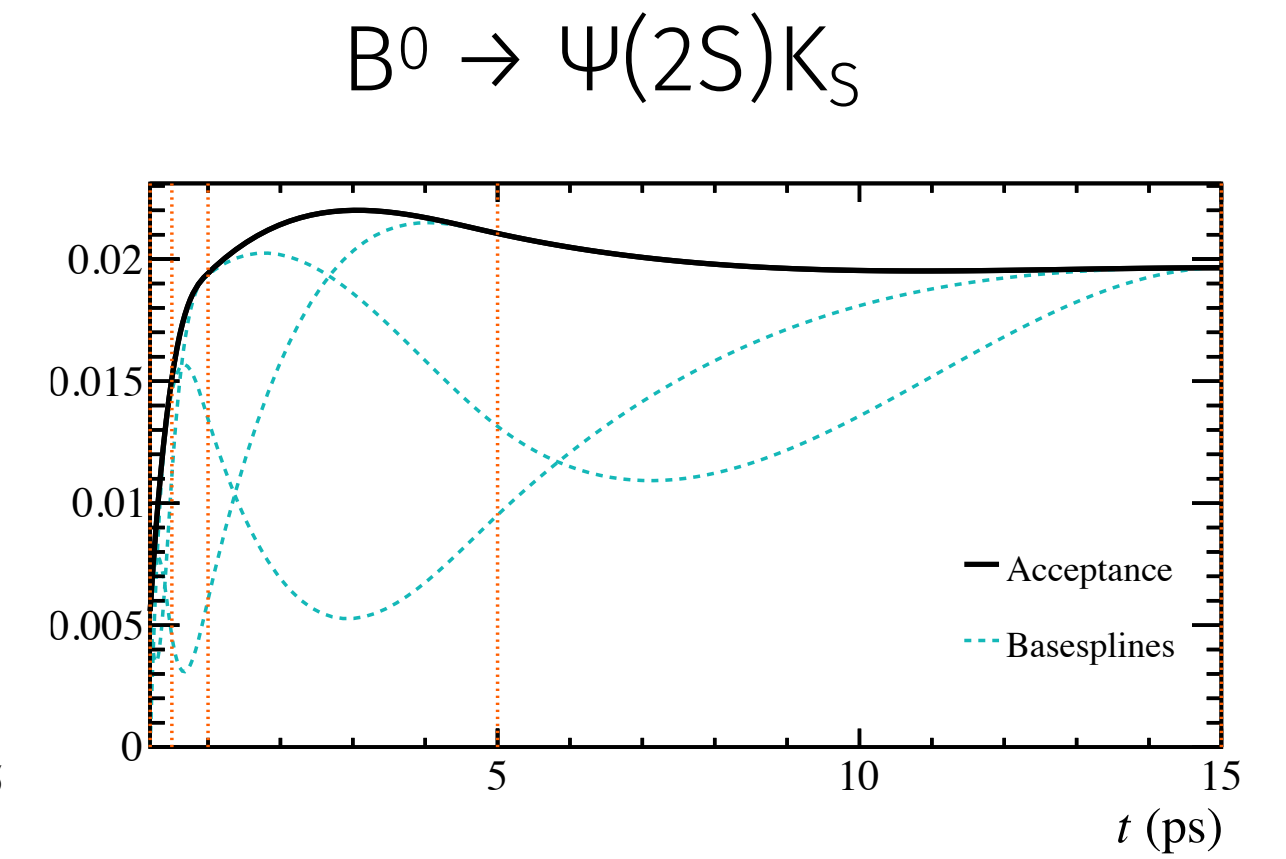
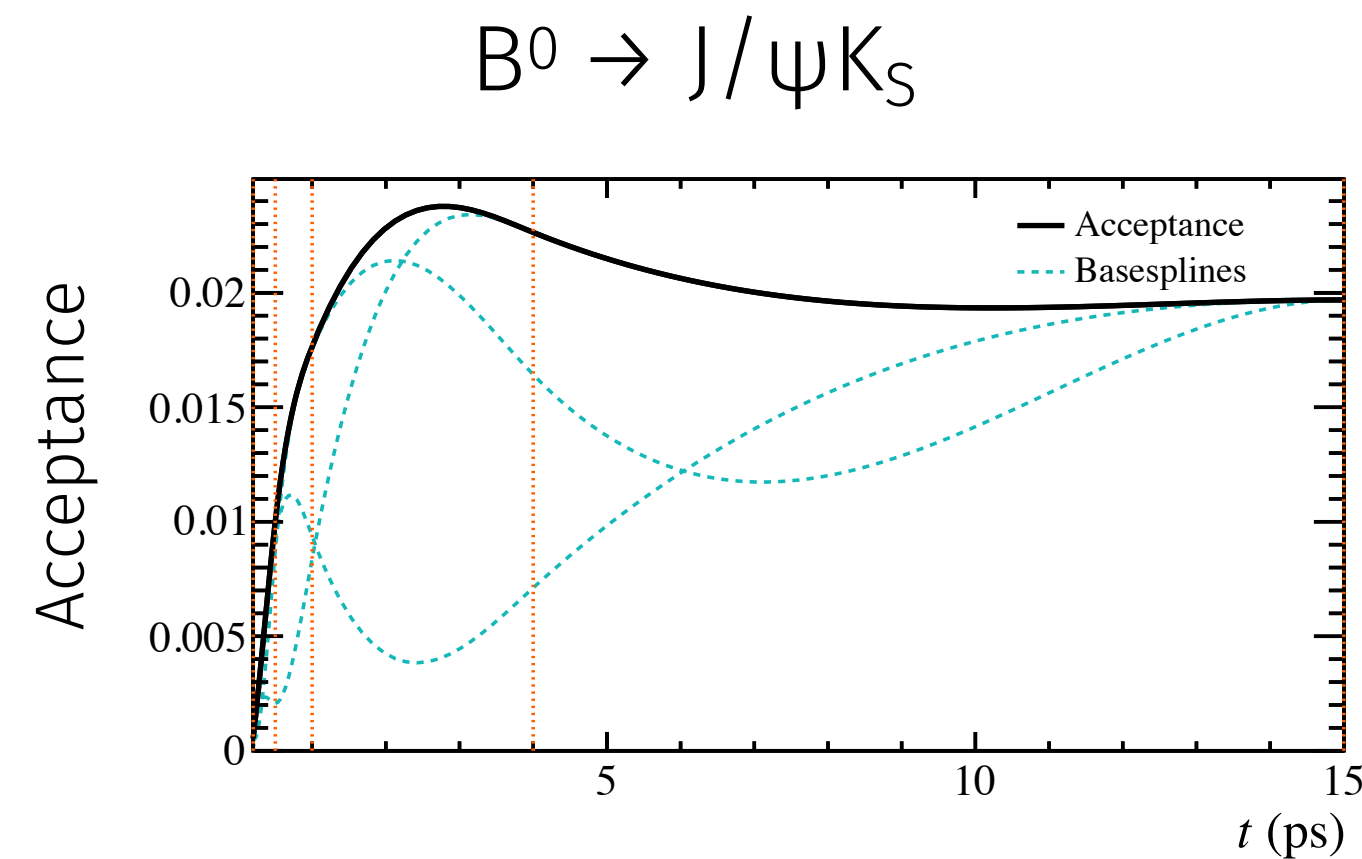
Decay Time Acceptance and Resolution

► acceptance

- use cubic-splines
- knots determined on MC
- parameters left floating in CP -fit

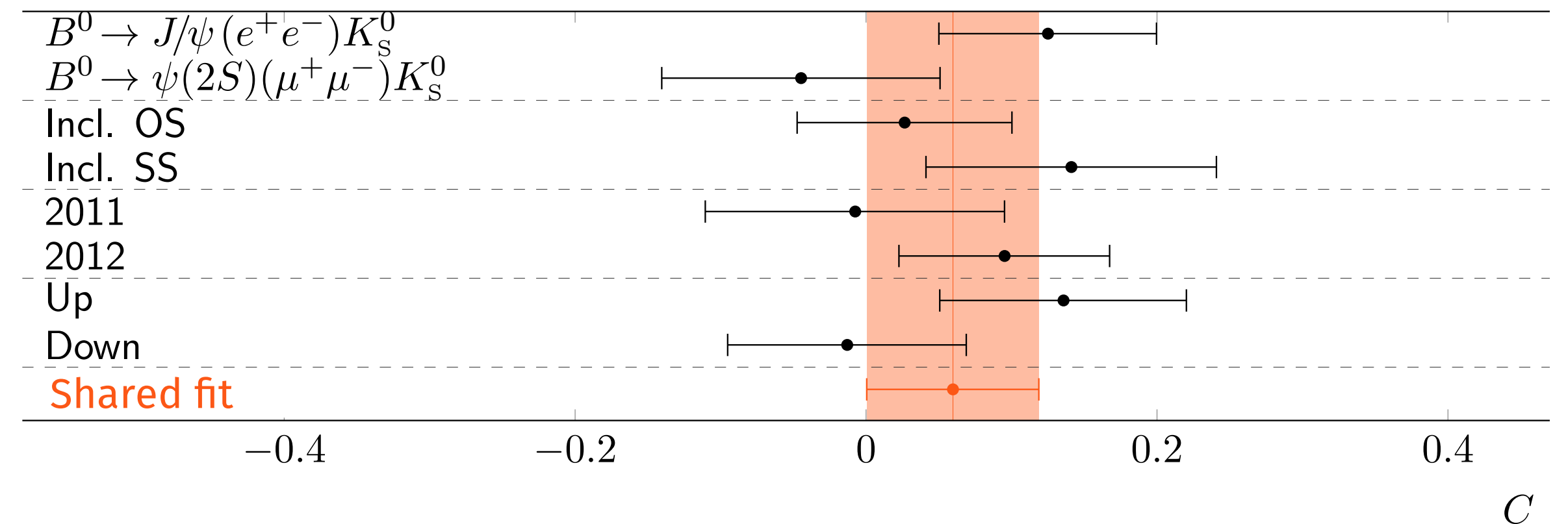
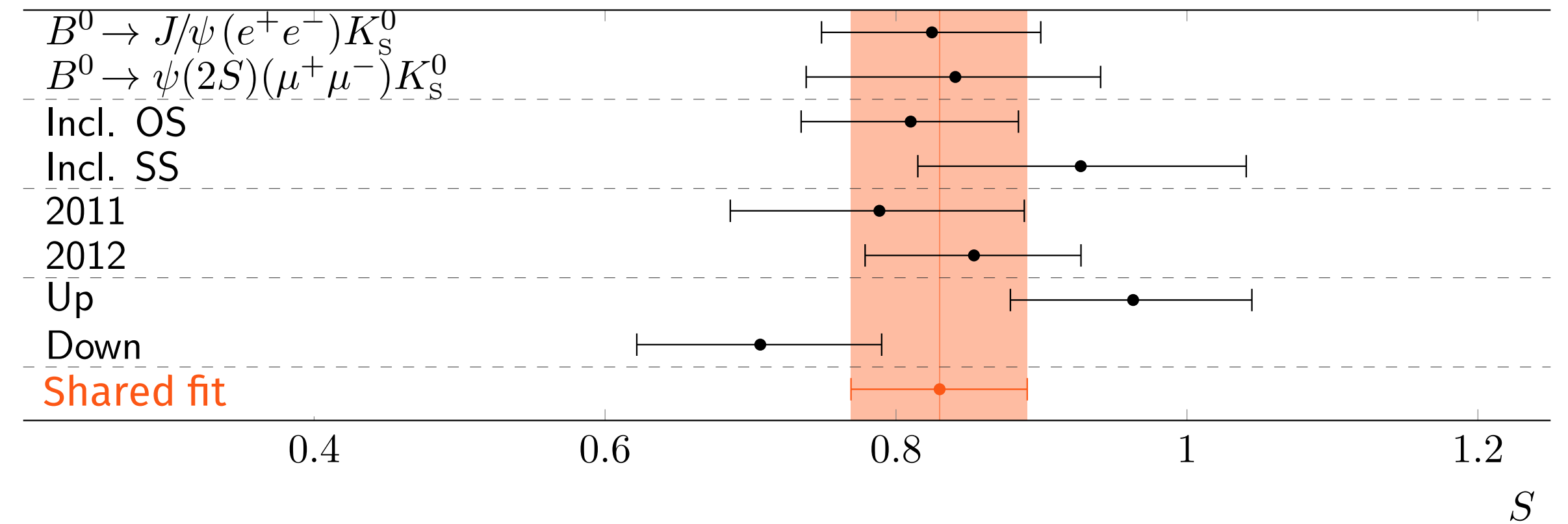
► resolution

- dependent on the per-event decay time error estimate σ_t
- triple Gaussian model, including Gaussian for wrongly associated PVs



Crosschecks

- ▶ *CP* fit on various subsets:
 - split decay channels
 - OS tags only vs. SS tags only
 - split years 2011 vs. 2012
 - mag up vs. mag down
- ▶ everything is perfectly consistent with fit with shared *CP* coefficients



Systematic Uncertainties

- evaluated using pseudoexperiments with alternative assumptions

source	$B^0 \rightarrow J/\psi K_S$		$B^0 \rightarrow \psi(2S)K_S$	
	σ_S	σ_C	σ_S	σ_C
$\Delta\Gamma$	0.003	0.007	0.007	0.003
Δm	0.004	0.004	0.004	0.004
A_P	0.004	0.009	0.007	0.005
FT calib	0.002	0.005	0.005	0.002
decay-time bias	0.006	0.006	0.006	0.004
σ_t scaling	0.003	0.005	0.002	0.002
decay-time efficiency	0.006	0.004	0.006	0.004
total	0.011	0.016	0.014	0.010