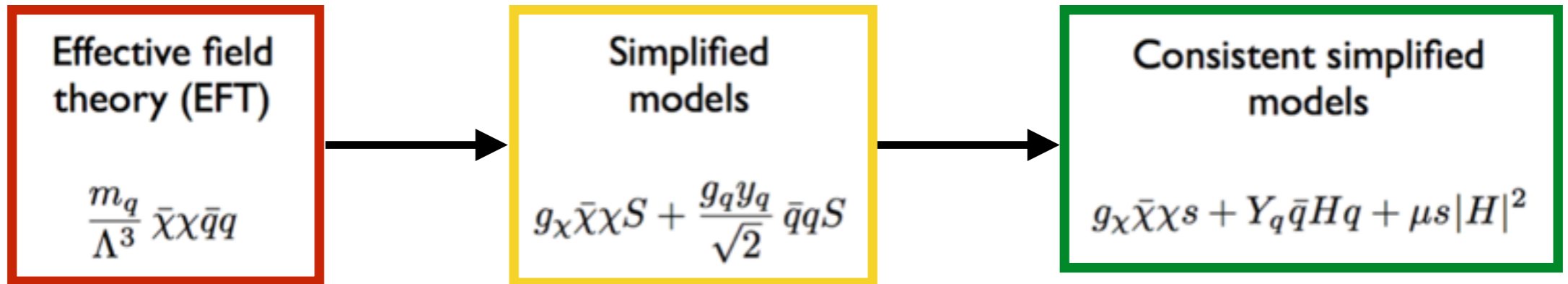


14th Workshop of the LHC Higgs Cross Section Working Group

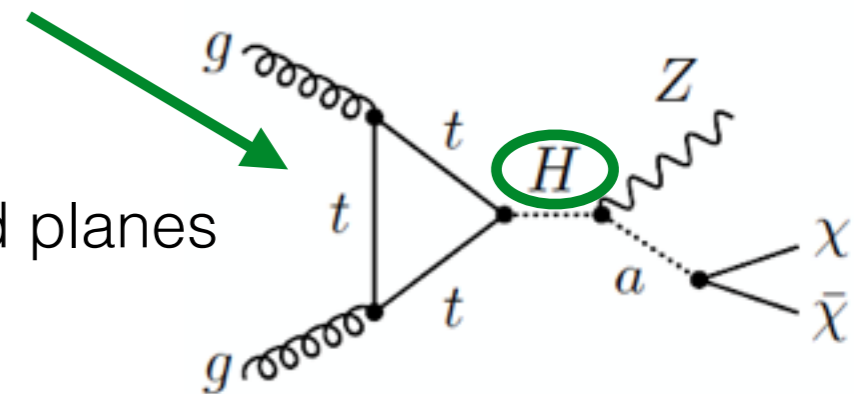
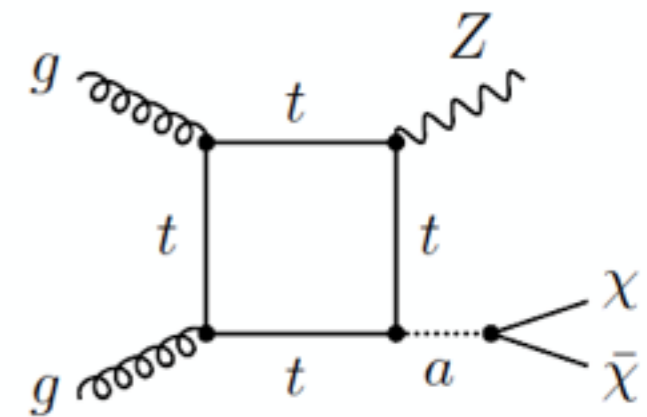
# DMWG Report on 2HDM activities

Johanna Gramling (UC Irvine)  
on behalf of the LHC DMWG

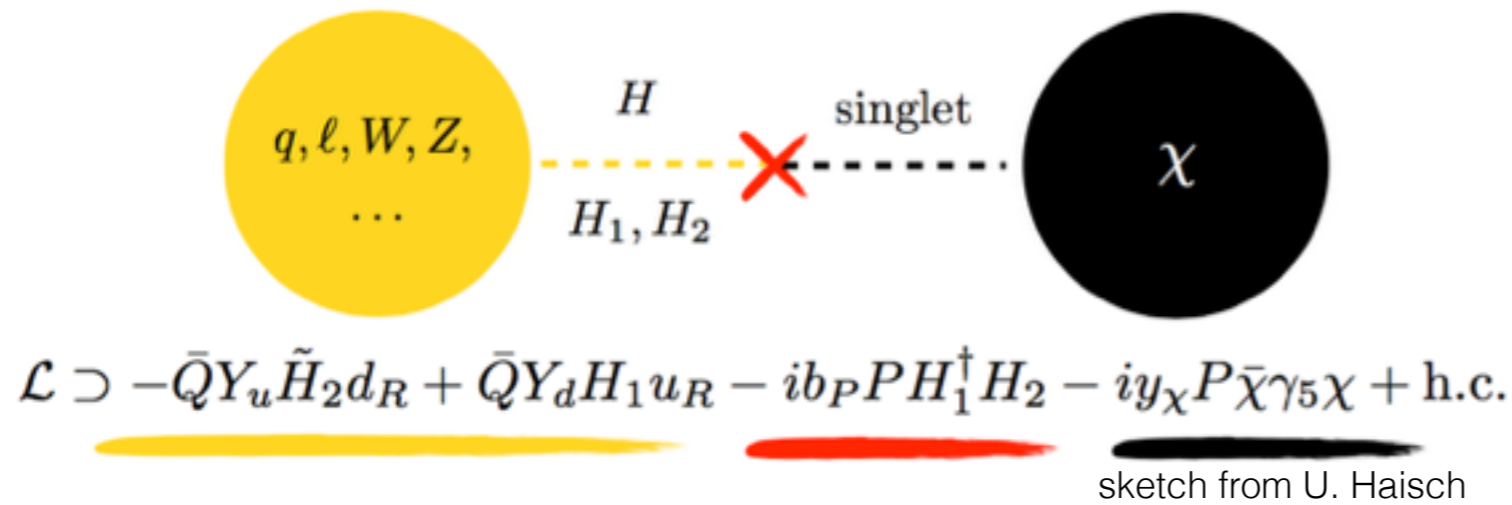
# Why consider “less simplified models” like 2HDM?



- Simplified Models used as benchmarks for several signatures (more details [here](#))
  - not gauge invariant  $\Rightarrow$  unitarity violating amplitudes
- 2HDM are well-motivated extension of SM
  - Add in extra (pseudo-)scalar to couple to (SM singlet) DM
- Many signatures relevant!
  - Mono-Z and mono-h always weaker in Simplified Models, now very relevant due to possible resonant production!
- $\rightarrow$  *compare, confront, combine different search strategies*
- Sufficiently complete, but simplified enough to define grid planes in parameter space
  - Can be relatively easily reused/recast by theorists



# The Model



## Particle Content

- CP-even bosons:  $h, H$
- CP-odd bosons:  $A, a$
- Charged bosons:  $H^\pm$
- Dirac DM  $\chi$

- Spin-0 models with fermionic DM can be made  $SU(2)_L \times U(1)_Y$  invariant by introducing a **new dark Higgs** that couples to visible scalar sector
- If scalar sector minimal, SM Higgs is mediator  $\rightarrow$  Higgs constraints are severe
- Higgs constraints can be avoided in extensions with **2 Higgs doublets** (assuming decoupling or alignment limit)
  - Add **pseudo-scalar mediator** to couple to DM
- Impose softly broken  $Z(2)$  symmetry to avoid FCNCs
- Focus mostly on Yukawa structure of type-II
  - Signatures largely independent of type\*, but more or less prominent

Model	up-type	down-type	leptons
Type I	$H_2$	$H_2$	$H_2$
Type II	$H_2$	$H_1$	$H_1$
Type III (X)	$H_2$	$H_2$	$H_1$
Type IV (Y)	$H_2$	$H_1$	$H_2$

\*holds true for gluon-fusion initial states

# Model Parameters

- Parameter space can be reduced by constraints/assumptions
- **Assumptions**
  - Lightest CP-even boson ( $h$ ) is SM Higgs
    - **Choose  $M_h = 125$  GeV,  $v = 246$  GeV**
  - Alignment limit:
    - **Choose  $\cos(\beta - \alpha) = 0$**
  - Otherwise,  $\tan(\beta)$  affected by constraints from Higgs coupling measurements

## parameters

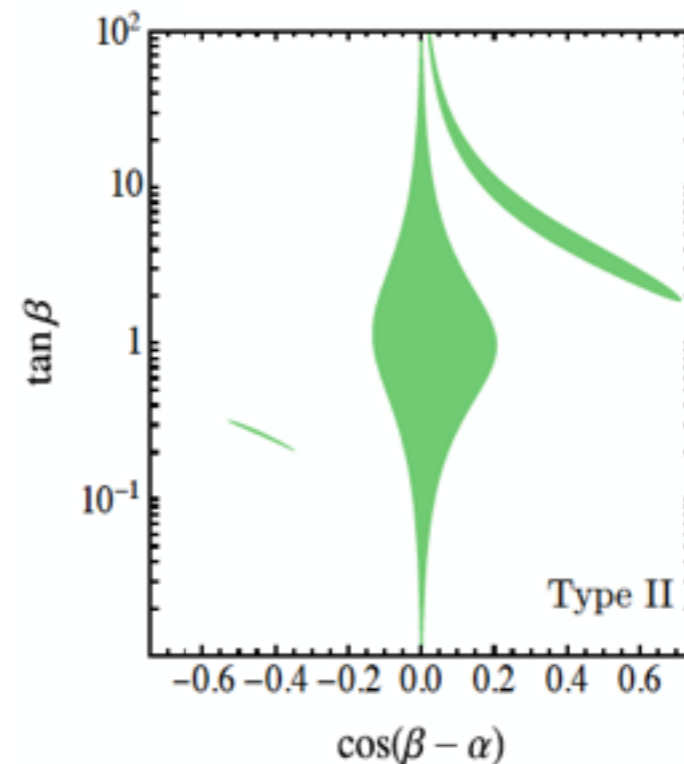
$v, M_h, \cos(\beta - \alpha)$

$M_a, M_A, M_H, M_{H^\pm}$

$\tan(\beta), \cos(\theta)$

$\lambda_3, \lambda_{P1}, \lambda_{P2}, \lambda_P$

$M_\chi, y_\chi$



# Model Parameters

- Parameter space can be reduced by constraints/assumptions
- **Assumptions**
  - Lightest CP-even boson ( $h$ ) is SM Higgs
    - **Choose  $M_h = 125 \text{ GeV}$ ,  $v = 246 \text{ GeV}$**
  - Alignment limit:
    - **Choose  $\cos(\beta - \alpha) = 0$**
    - Otherwise,  $\tan(\beta)$  affected by constraints from Higgs coupling measurements
  - Mass splittings between  $M_a, M_A, M_H, M_{H^\pm}$  constrained by electroweak precision measurements
    - circumvented in case of  $M_H = M_{H^\pm}$  and  $\cos(\beta - \alpha) = 0$
    - **Choose  $M_A = M_H = M_{H^\pm}$**  (also to simplify life - for now!)

## parameters

$v, M_h, \cos(\beta - \alpha)$

$M_a, M_A, M_H, M_{H^\pm}$

$\tan(\beta), \cos(\theta)$

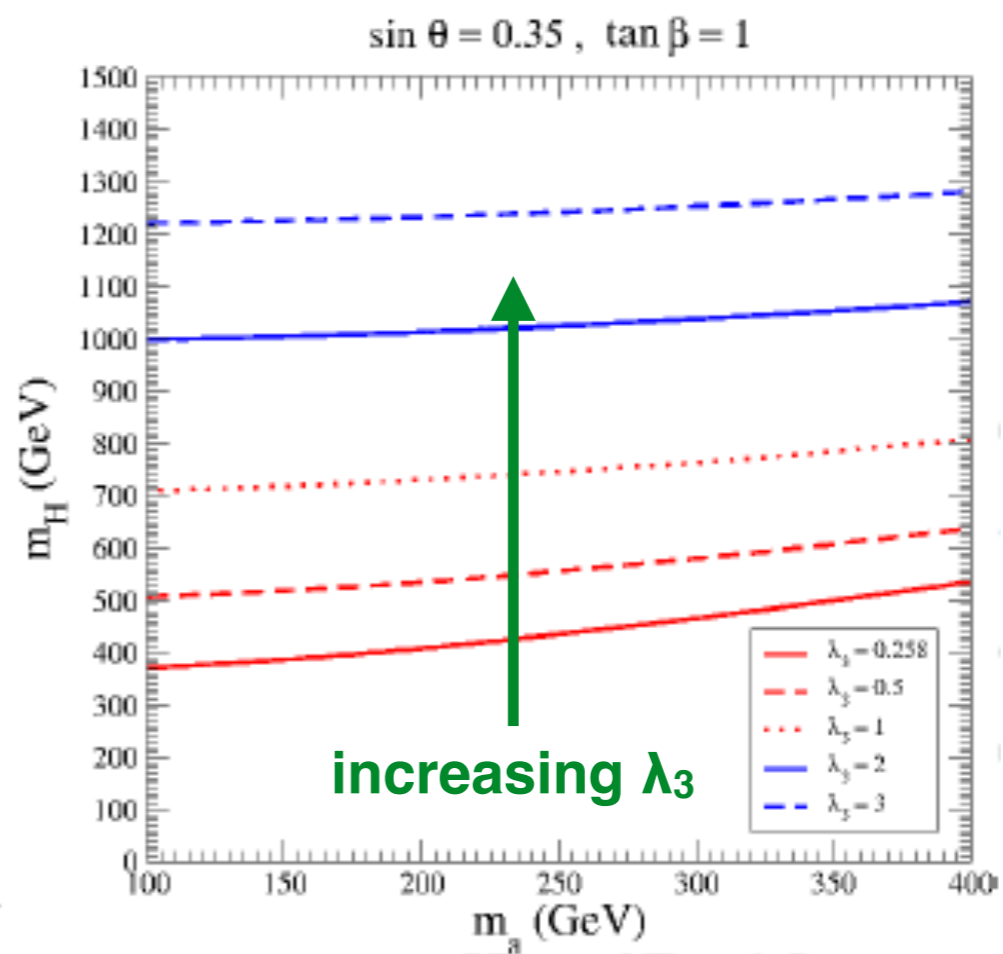
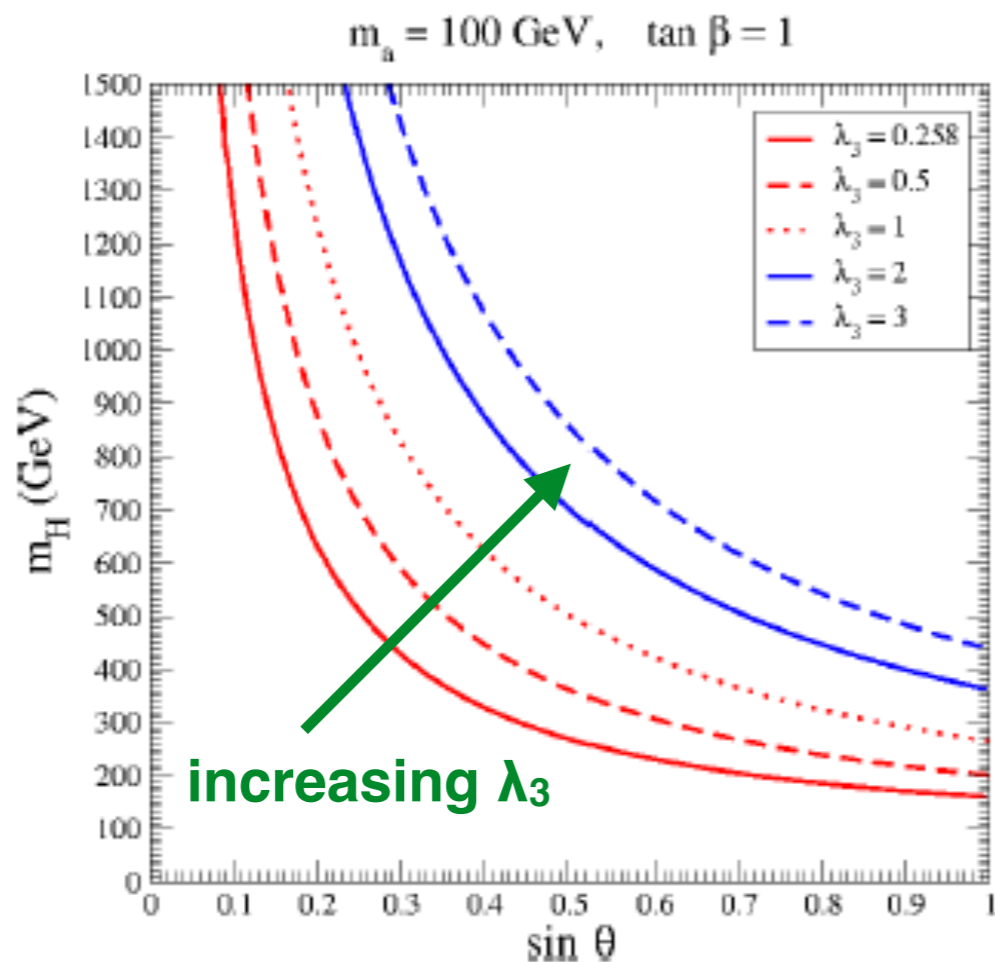
$\lambda_3, \lambda_{P1}, \lambda_{P2}, \lambda_P$

$M_\chi, y_\chi$

# Model Parameters

- **Assumptions (continued)**

- Vacuum stability, perturbativity and unitarity constraints affect quartic couplings
- In particular: boundedness from below requires  $\lambda_3 \geq M_h^2/v^2 = 0.258$   
 → allowed param space increases with  $\lambda_3$



# Model Parameters

- **Assumptions (continued)**

- Vacuum stability, perturbativity and unitarity constraints affect quartic couplings

- In particular: boundedness from below requires  $\lambda_3 \geq M_h^2/v^2 = 0.258$   
 → allowed param space increases with  $\lambda_3$

- **But:**

$g_{aAh}$  decreases with increasing  $\lambda_3$  except if  $\lambda_3 \approx \lambda_{P1} \approx \lambda_{P2}$   
 →  $g_{aAh}$  important for mono-h signatures!

- **On the other hand:**

$\Gamma(H \rightarrow aa)$  enhanced with  $\lambda_3$ , therefore  $BR(H \rightarrow Za)$  reduced  
 → mono-Z most sensitive for small  $\lambda_{P1} \approx \lambda_{P2}$  or sufficient splitting

→ **Choose  $\lambda_3 = \lambda_{P1} = \lambda_{P2} = 3$**

(not ideal for mono-Z, but compromise between mono-h and mono-Z)

# Summary of Model

$v, M_h, \cos(\beta - \alpha)$	$\longleftrightarrow$	fixed by Higgs measurements,
$M_{H^\pm}$	$\longleftrightarrow$	constrained by flavour observables,
$\sin(\theta), M_H$ or $M_A$	$\longleftrightarrow$	constrained by EWPM,
$\lambda_3, \lambda_{P1}, \lambda_{P2}, \lambda_P$	$\longleftrightarrow$	constrained by stability, perturbativity and unitarity

- Additional parameters for DM: mass  $M_\chi$  and coupling  $y_\chi$ 
  - **Choose  $y_\chi = 1$**

## Free parameters

**$M_a$** : mass of mediator  $a$   
 **$M_A$** : mass of heavy pseudo scalar  $A$   
 **$\sin(\theta)$** : mixing angle between  $a$  and  $A$   
 **$\tan(\beta)$** : ratio of VEVs of Higgs doublets  
 **$M_\chi$** : DM mass



## Parameter Scans

2D scan of  **$M_a - M_A$**   
 2D scan of  **$M_a - \tan(\beta)$**   
 2 1D scans in  **$\sin(\theta)$**   
 1D scan of  **$M_\chi$**



# Alternative: Scalar Mediator

- Similar model: add scalar mediator to 2HDM  
→ differently affected by limits from direct and indirect DM searches
- Direct detection: scalar model much more constrained by spin-independent bounds, due to existing tree level contributions (pseudoscalar model: only loop-level contributions)
- Indirect detection: bounds more stringent for pseudoscalar model (DM annihilation is s-wave) than for scalar model (DM annihilation is p-wave)
- Similar topologies at LHC, different production rates
- cross section for gluon-fusion of scalar particle generally smaller than that of pseudoscalar

⇒ mono-Z larger in scalar model:

$pp \rightarrow A \rightarrow sZ$  (scalar model) vs.

$pp \rightarrow H \rightarrow aZ$  (pseudoscalar model)

with  $\sigma(pp \rightarrow A) > \sigma(pp \rightarrow H)$

## Particle Content

- CP-even boson:  $h$
- CP-odd boson:  $A$
- neutral scalars:  $S_1, S_2$
- Charged bosons:  $H^\pm$
- Dirac DM  $\chi$

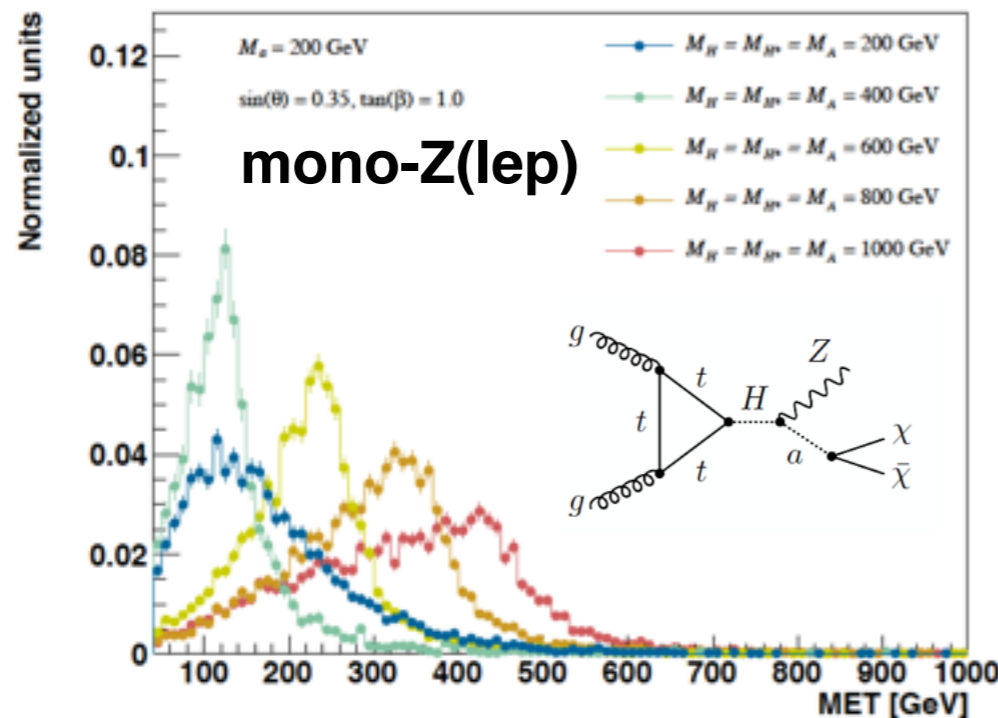
# Parameter Scans

# 2D Scan in $M_a$ - $M_A$

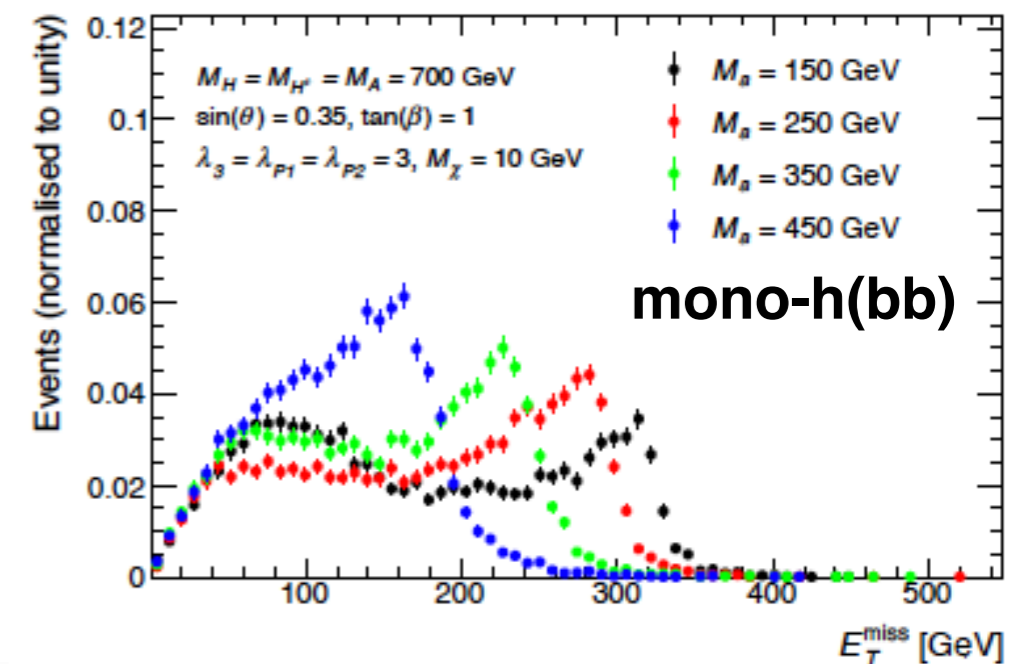
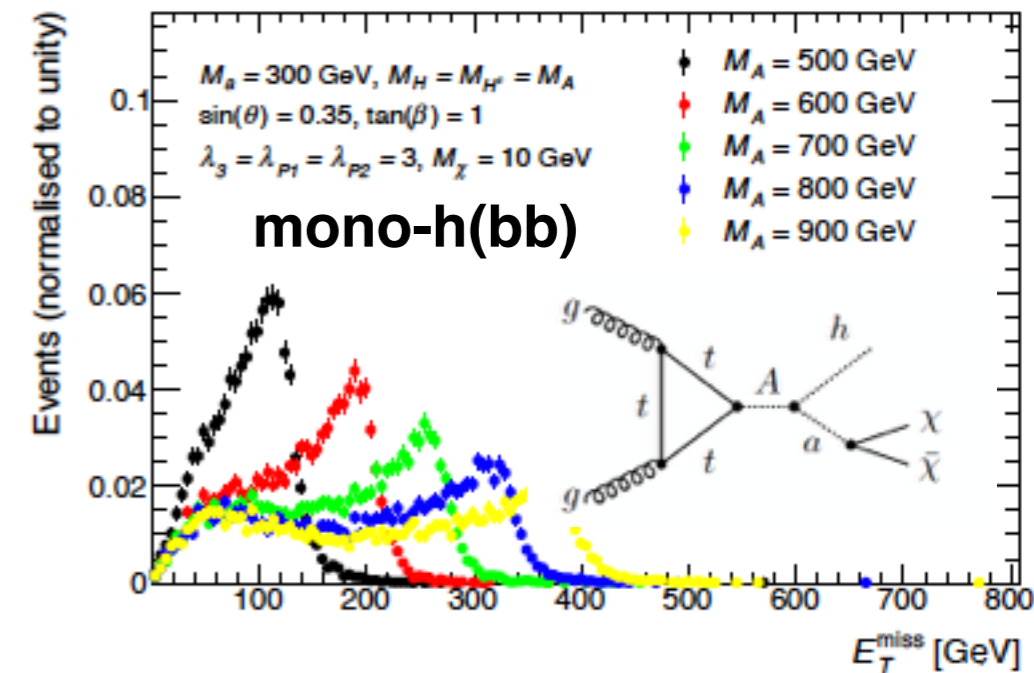
Fixed parameters:  $\tan(\beta) = 1.0$ ,  $\sin(\theta) = 0.35$ ,  $M_\chi = 10$  GeV

- **Motivation:** highlight complementarity of mono-h and mono-Z
- $E_T^{\text{miss}}$  shape depends crucially on  $|M_A - M_a|$  (mono-h) /  $|M_H - M_a|$  (mono-Z)
- Jacobian peak for resonant production

$$E_T^{\text{miss}, \text{max}} \approx \frac{\sqrt{(M_A^2 - M_a^2 - M_h^2)^2 - 4M_a^2 M_h^2}}{2M_A}$$



$$E_T^{\text{miss}, \text{max}} \approx \frac{\sqrt{(M_H^2 - M_a^2 - M_Z^2)^2 - 4M_a^2 M_Z^2}}{2M_H}$$

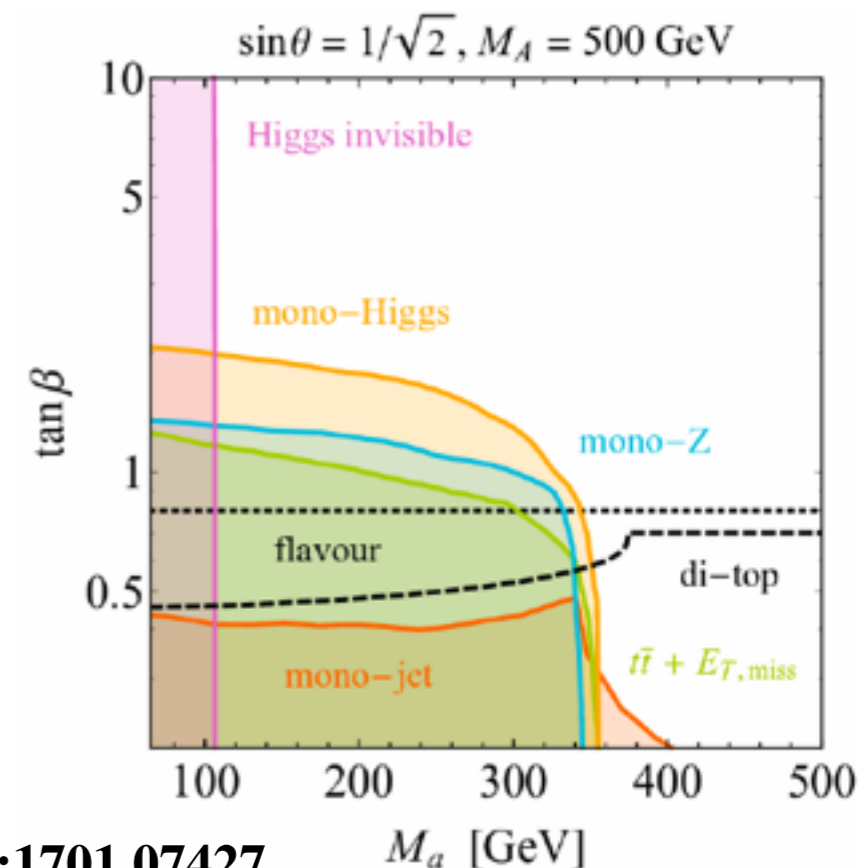
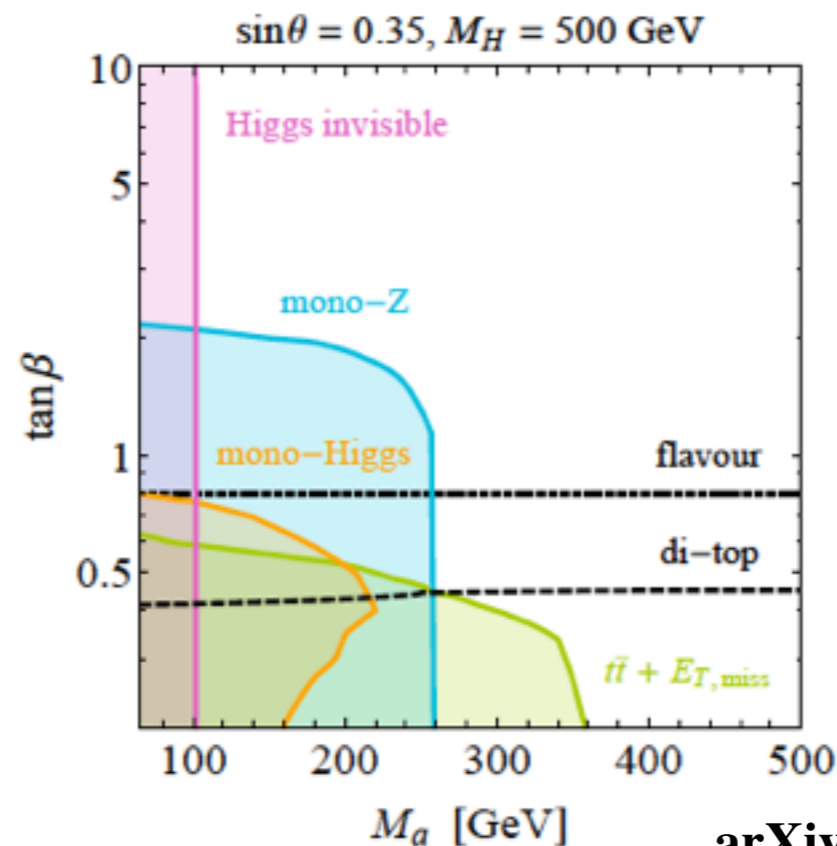


# 2D Scan in $M_a$ - $\tan(\beta)$

Fixed parameters:  $M_A = 600$  GeV,  $\sin(\theta) = 0.35$ ,  $M_\chi = 10$  GeV

- **Motivation:**

- Highlight complementarity between all signatures
- Parameterisation commonly used for constraints on 2HDMs
- DM+tt and mono-jet mostly sensitive for  $\tan(\beta) < 0.4$
- Caveat: perturbative top Yukawa requires  $\tan(\beta) > 0.4$
- Still include results in  $M_a - \tan(\beta)$  plot but shade area with  $\tan(\beta) < 0.4$



arXiv:1701.07427

# Two 1D Scans in $\sin(\theta)$

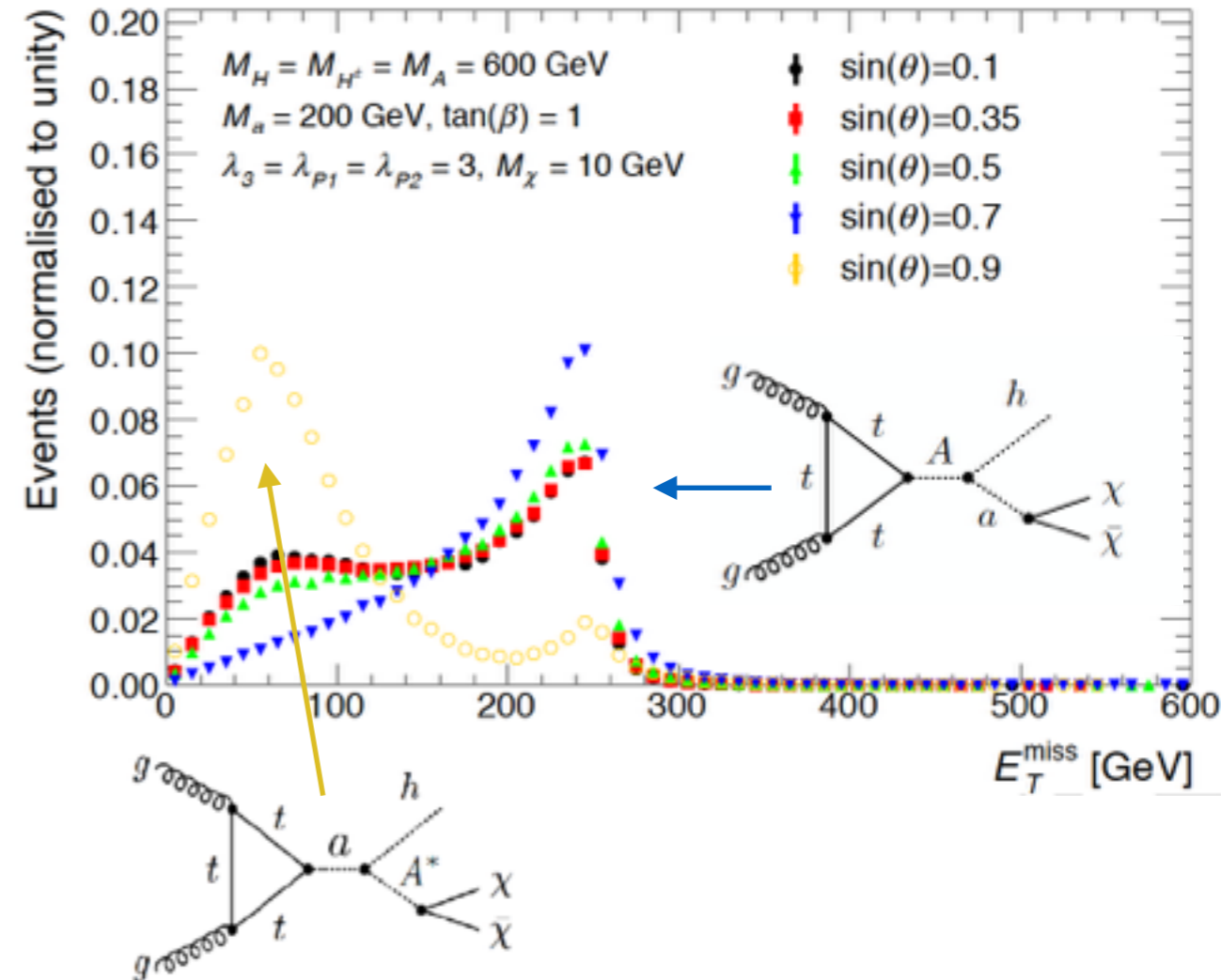
Fixed parameters:  $\tan(\beta) = 1$ ,  $M_\chi = 10 \text{ GeV}$

Scan 1:  $M_a = 200 \text{ GeV}$ ,  $M_A = 600 \text{ GeV}$

Scan 2:  $M_a = 350 \text{ GeV}$ ,  $M_A = 1000 \text{ GeV}$

- Motivation:**

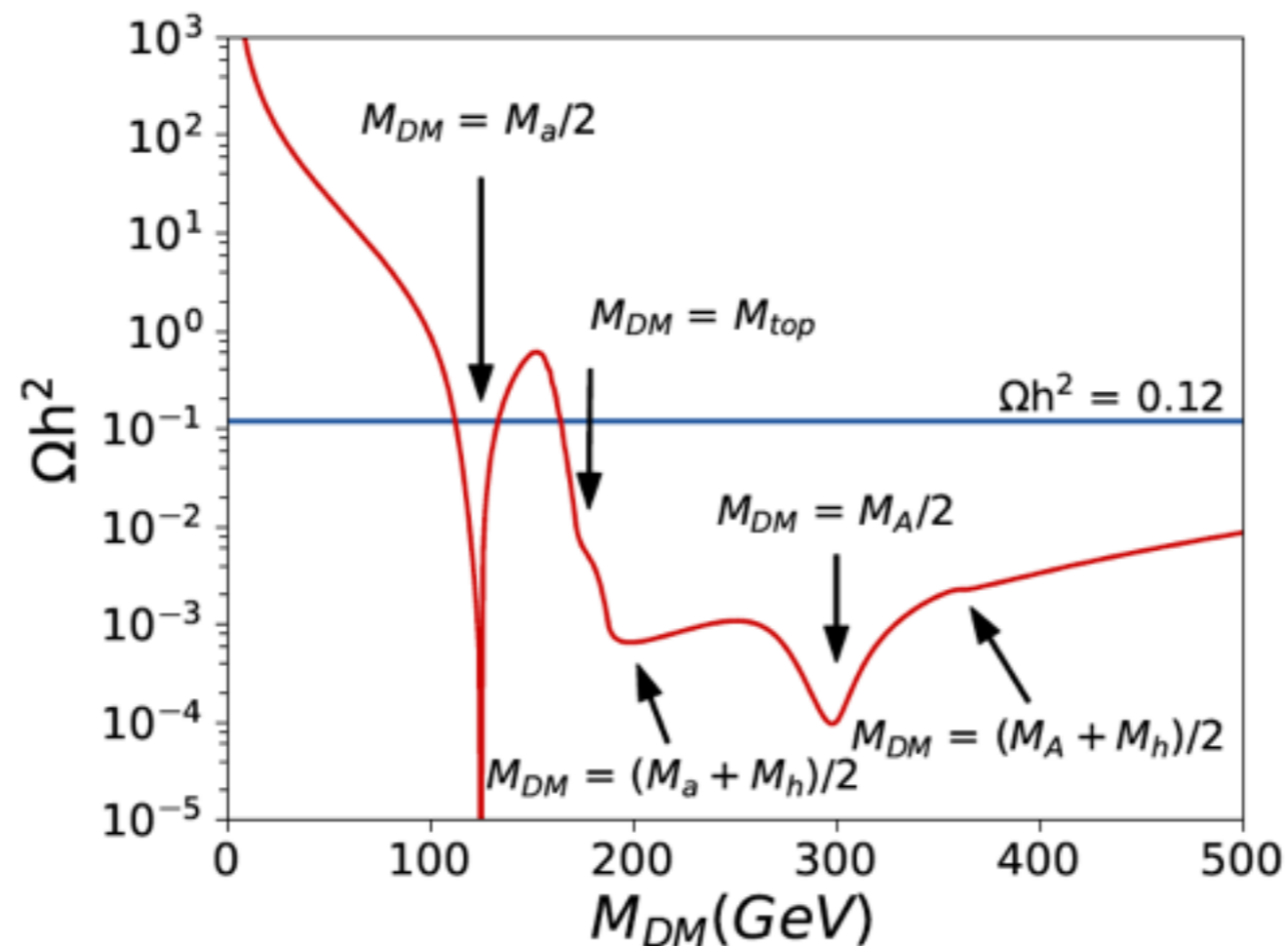
- Interplay between resonant and non-resonant production (mono-h and mono-Z)
- 2-body (where a Jacobian peak occurs) and off-shell/3-body production
- DM+tt and DM+bb more sensitive at higher  $\sin(\theta)$
- Choice of  $\tan(\beta) = 1.0$  not optimal for DM+tt and DM+bb  
 → set  $\tan(\beta)$  different from 1.0 in 1D scans for these signatures



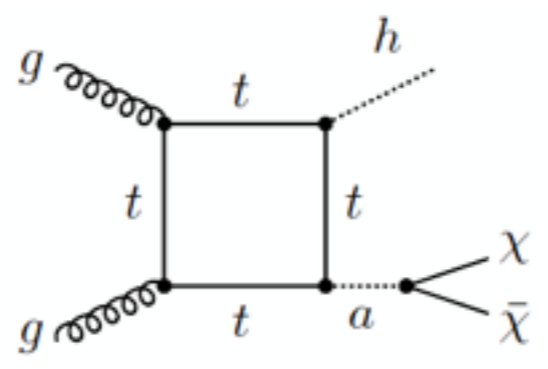
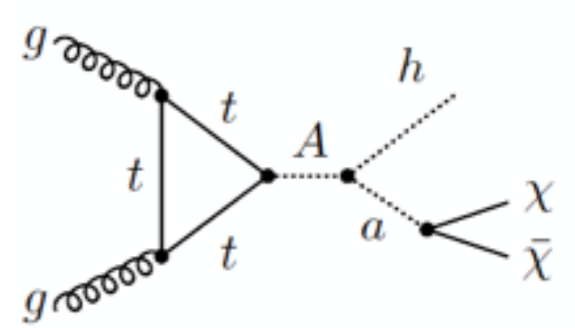
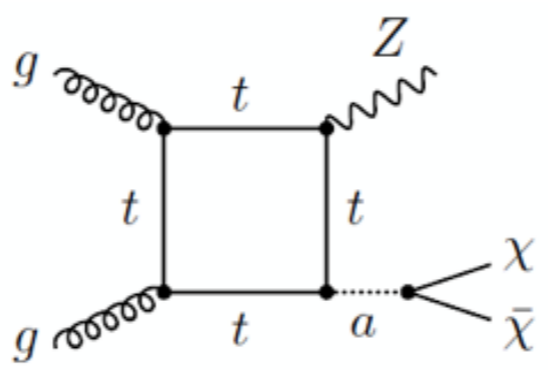
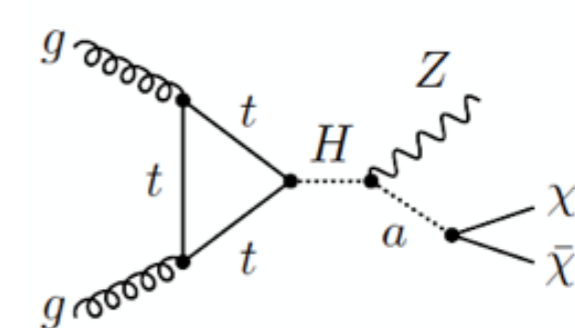
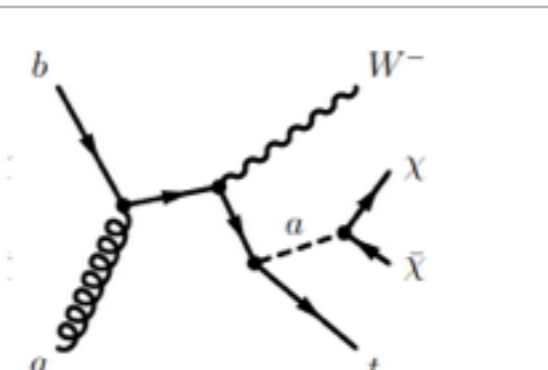
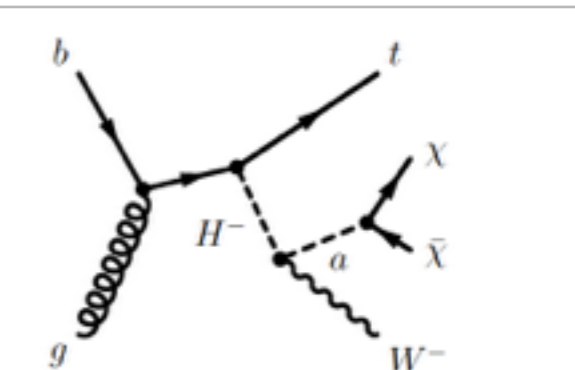
# 1D scan in $M_\chi$

Fixed parameters:  $M_a = 250 \text{ GeV}$ ,  $M_A = 600 \text{ GeV}$ ,  $\tan(\beta) = 1$ ,  $\sin(\theta) = 0.35$

- **Motivation:** study signature-specific dependence on  $M_\chi$ , relevant for relic density constraints
- Interesting for future studies: higher values of  $M_\chi$  preferred by relic density
  - Currently focus on lower  $M_\chi$  to have sufficiently high cross sections

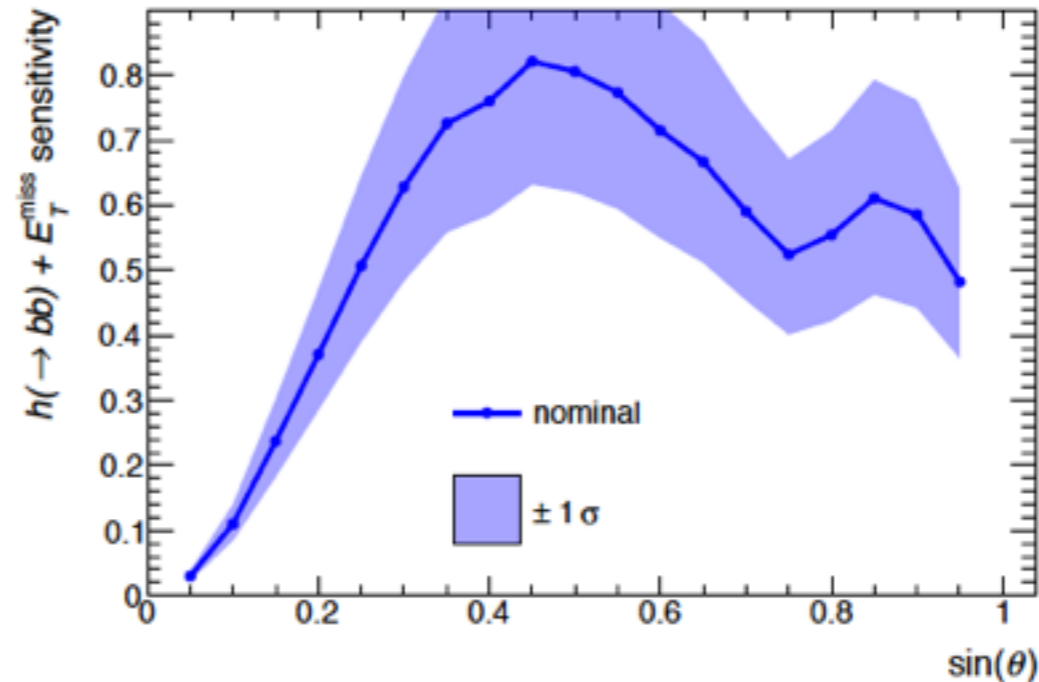
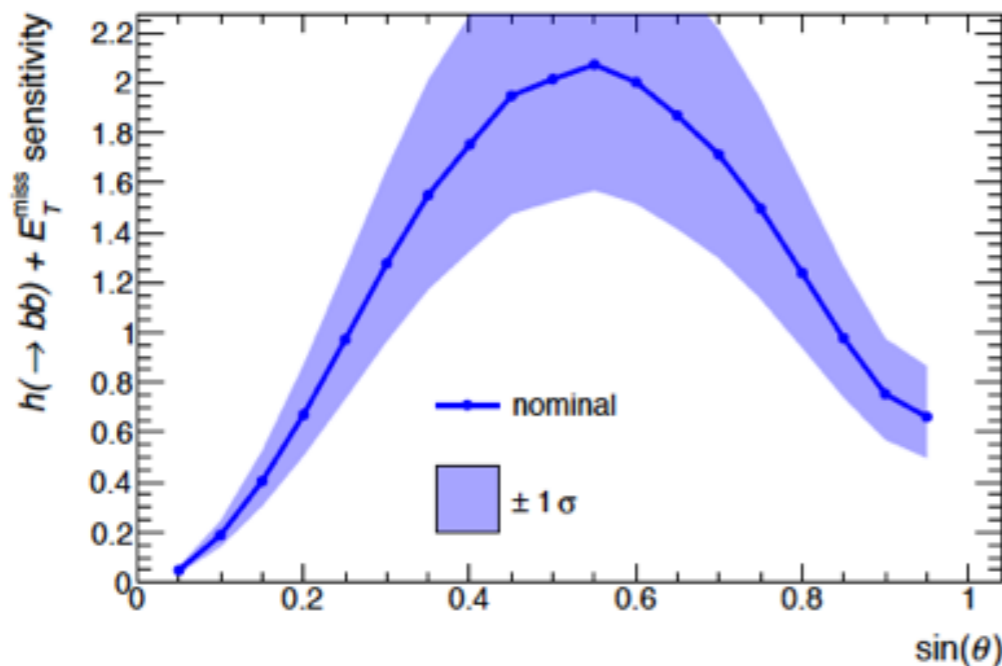
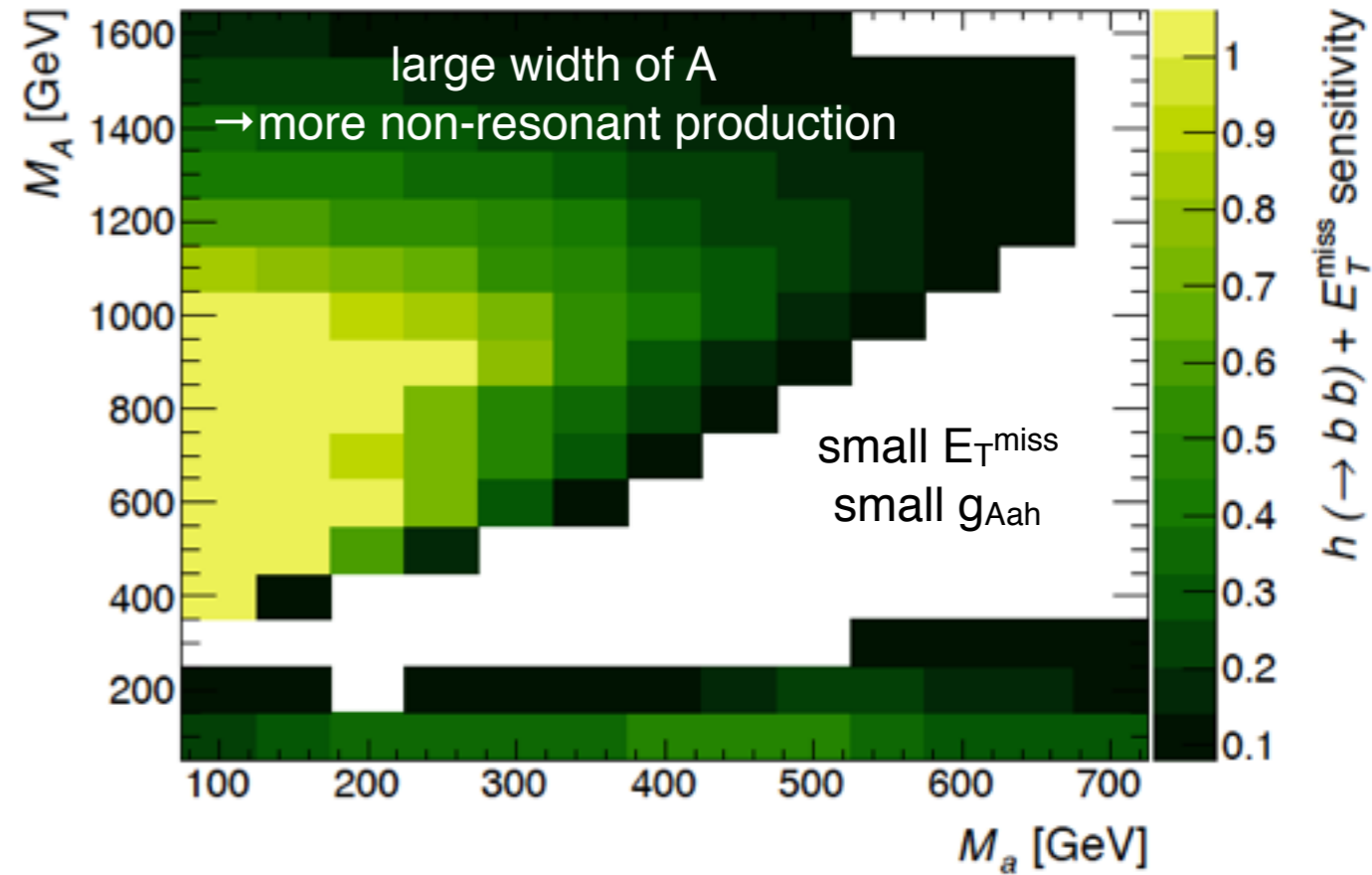


# Signatures profiting from possible resonant production

	Non-resonant production/ also present in simplified model	Resonant production/ new in 2HDM!
mono-h(bb)		
mono-Z (lep and had)		
DM+t(W)		

# Mono-h

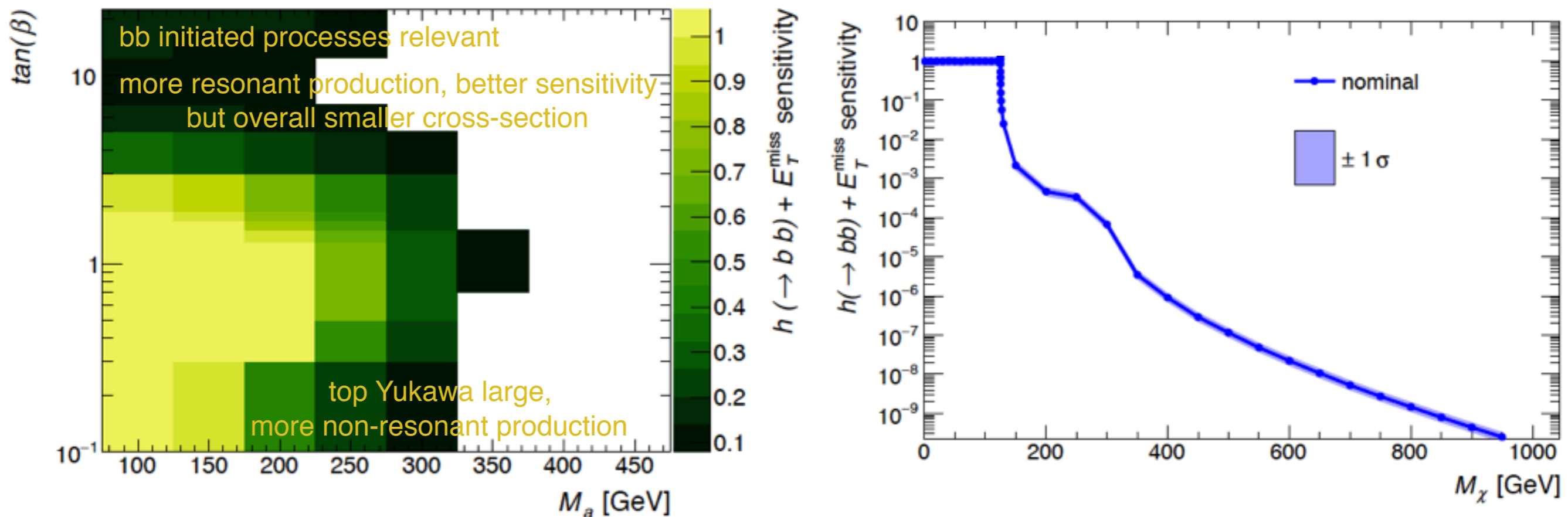
- $M_A, M_a$  change Jacobian peak in  $E_T^{\text{miss}}$   
 $\rightarrow$  higher  $E_T^{\text{miss}}$  for higher  $M_A$ , lower  $M_a$
- decay widths of  $A$  and  $a$  depend on  $M_H$   
 $\rightarrow$  affects ratio of resonant/non-resonant production
- mixing of  $a$  and  $A$  ( $\sin(\theta)$ ) affects  $E_T^{\text{miss}}$ 
  - low  $\sin(\theta)$ : resonant production dominant
  - $\sin(\theta) > 0.7$ : 3-body (offshell) gives broad low- $E_T^{\text{miss}}$  peak





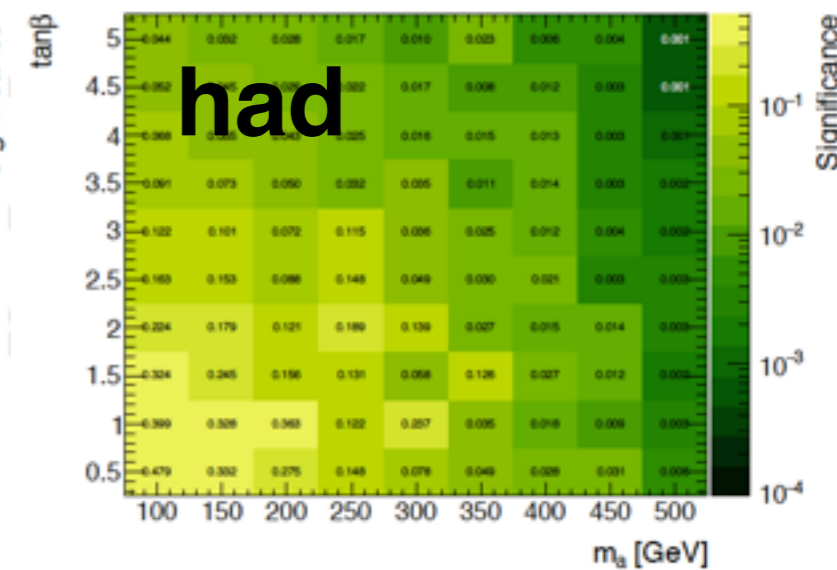
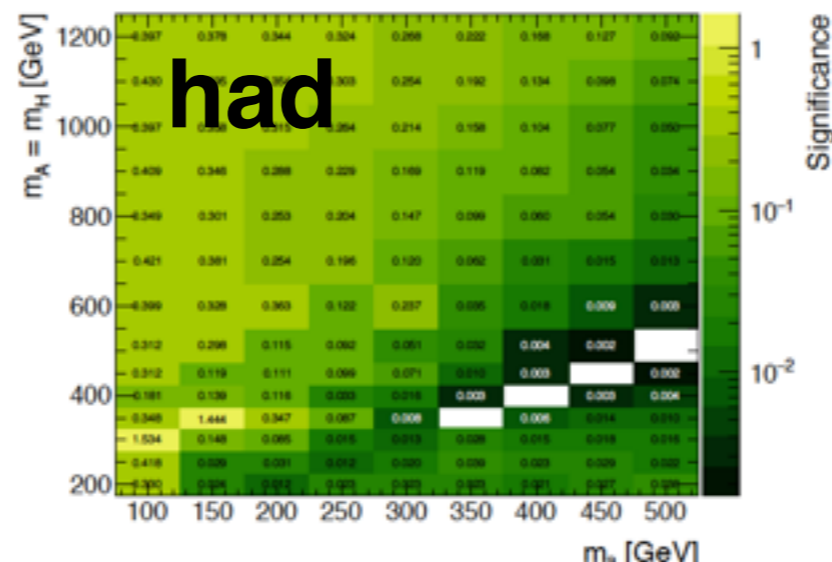
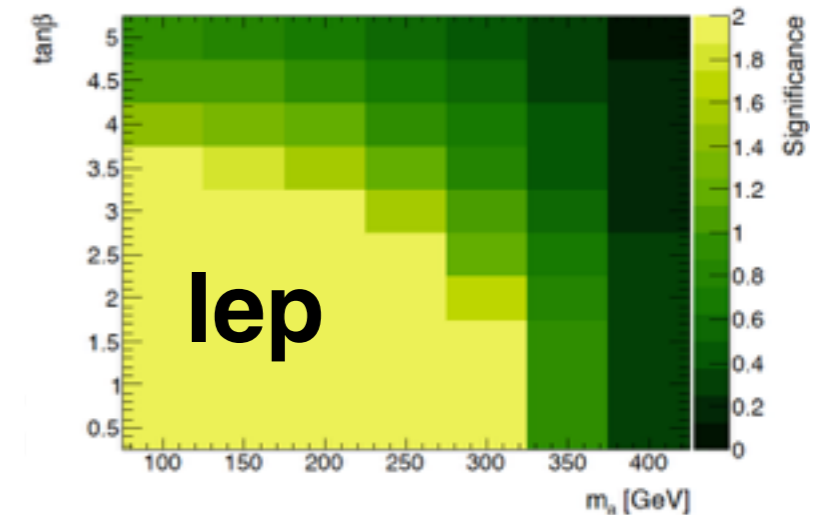
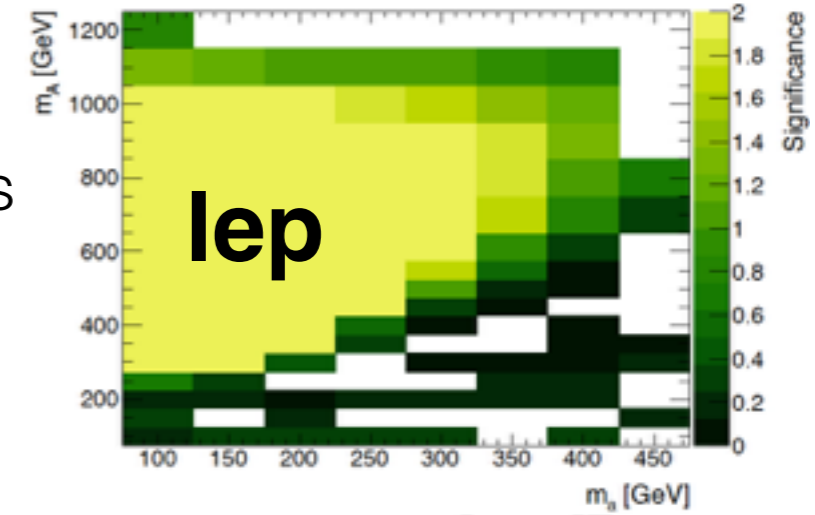
# Mono-h

- At high  $\tan(\beta)$ ,  $bb$  initial state gets relevant - everywhere else gluon fusion dominates
- $\tan(\beta)$  only varies  $E_T^{\text{miss}}$  in cases where resonant production is possible
  - Small  $\tan(\beta)$ : top Yukawa large  $\rightarrow$  non-resonant production dominant
- $M_\chi$  changes cross-section and  $E_T^{\text{miss}}$ , depending on the mass hierarchy of  $A, a, H, h$



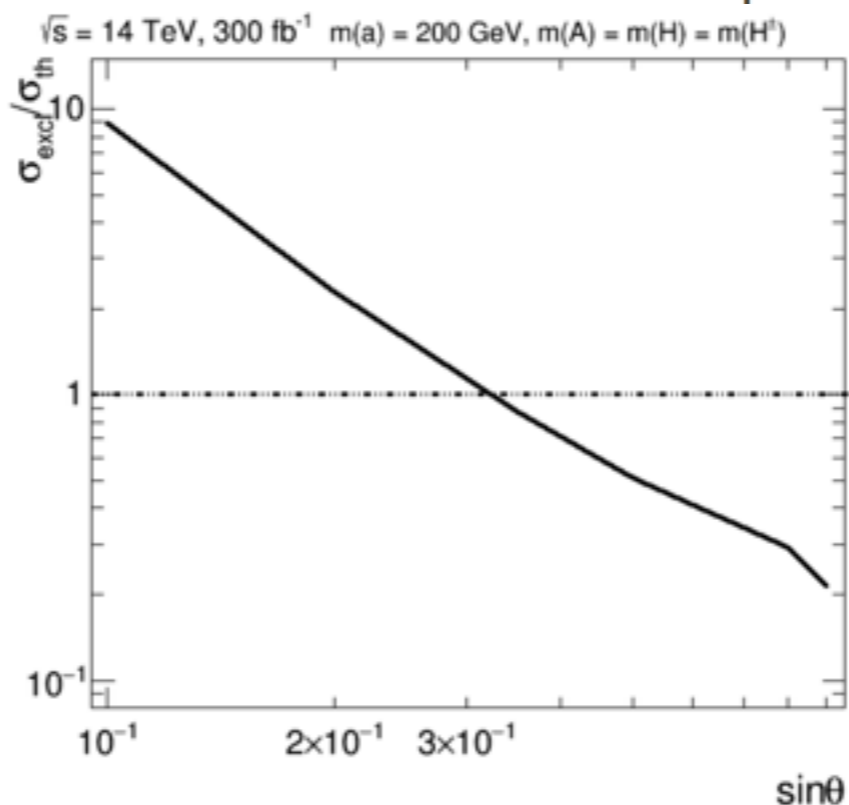
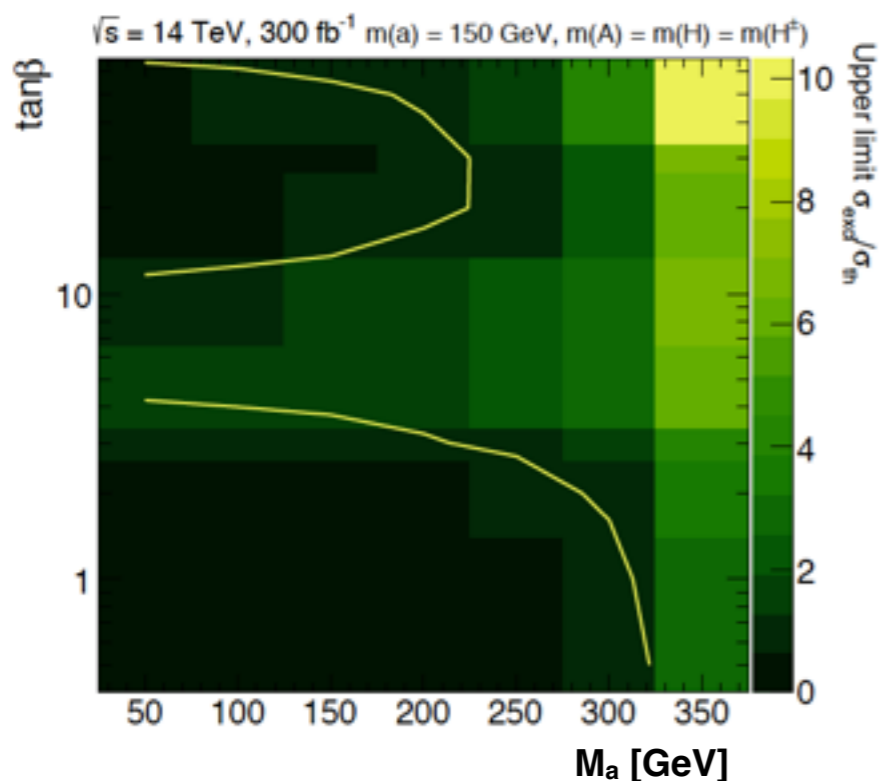
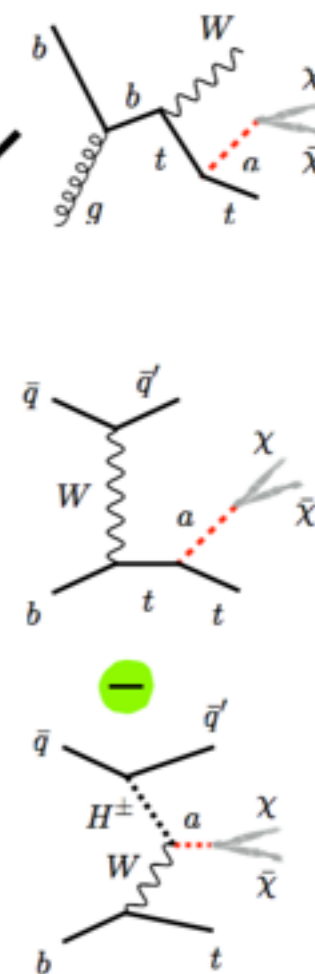
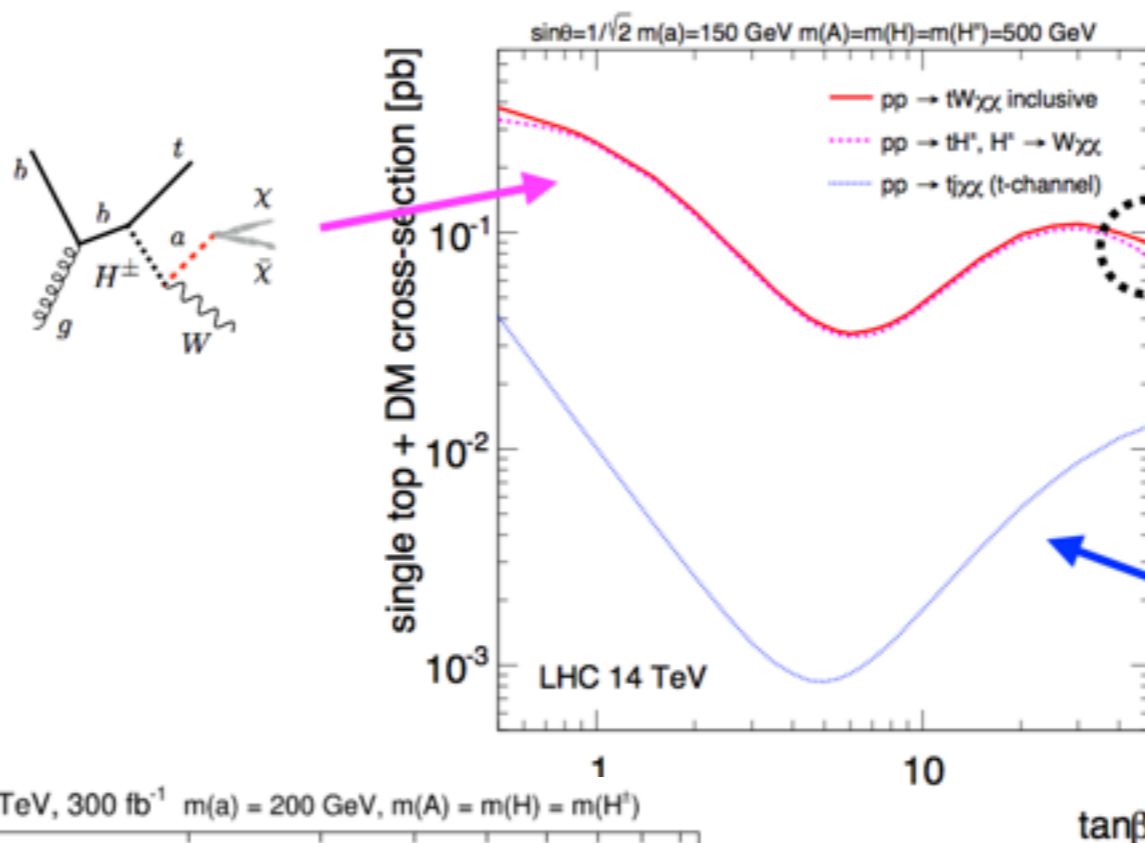
# Mono-Z

- Resonant process  $H \rightarrow aZ$  gives Jacobian peak in  $E_T^{\text{miss}}$ 
  - Peak depends on  $M_H$  and  $M_a$ , broader for higher masses
  - Suppressed for diagonal ( $M_a \approx M_A$ )
- For  $M_a < M_A$ , DM dominantly from on-shell  $a$ , for  $M_a > M_A$  mostly  $H \rightarrow \chi\chi$
- If  $|M_a - M_A| < M_Z$ , non-resonant production dominant  $\rightarrow$  sensitivity decreases
- For  $M_a < 350$  GeV cross section increases with  $\sin(\theta)$ , for  $M_a > 350$  GeV,  $a \rightarrow tt$  accessible  $\Rightarrow$  cross section decreases for high  $\sin(\theta)$
- Most sensitive for lower  $\tan(\beta)$



# DM+t(W)

- When  $H^\pm \rightarrow W^\pm$  a possible,  $H^\pm$  is produced on-shell
- cross section of  $pp \rightarrow tW \chi \chi$  one order of magnitude larger than in Simplified Model

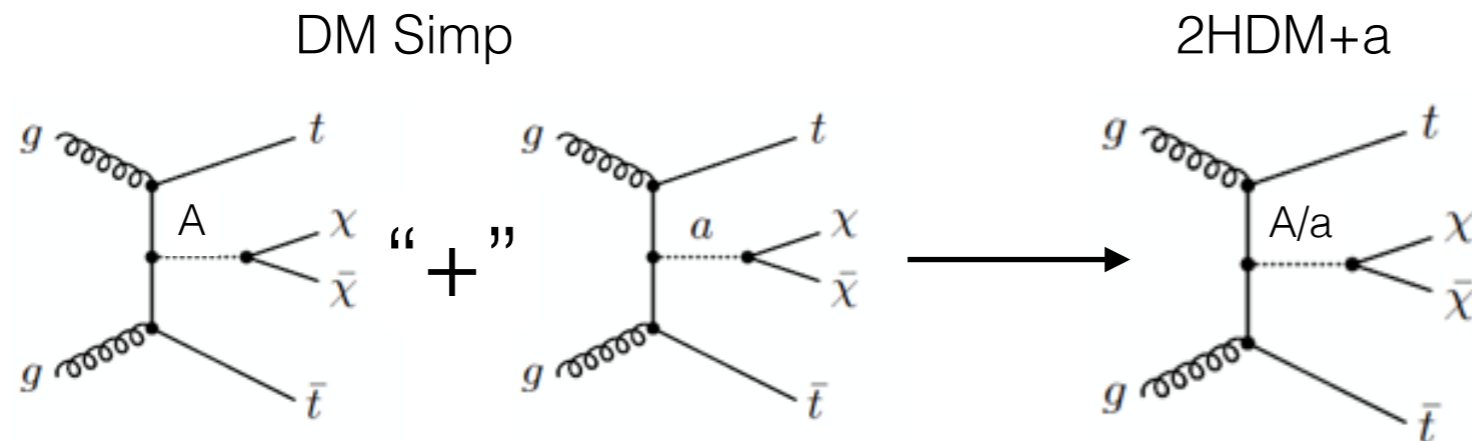


- sensitivity reach in  $M_a - \tan(\beta)$  is comparable to mono-h results

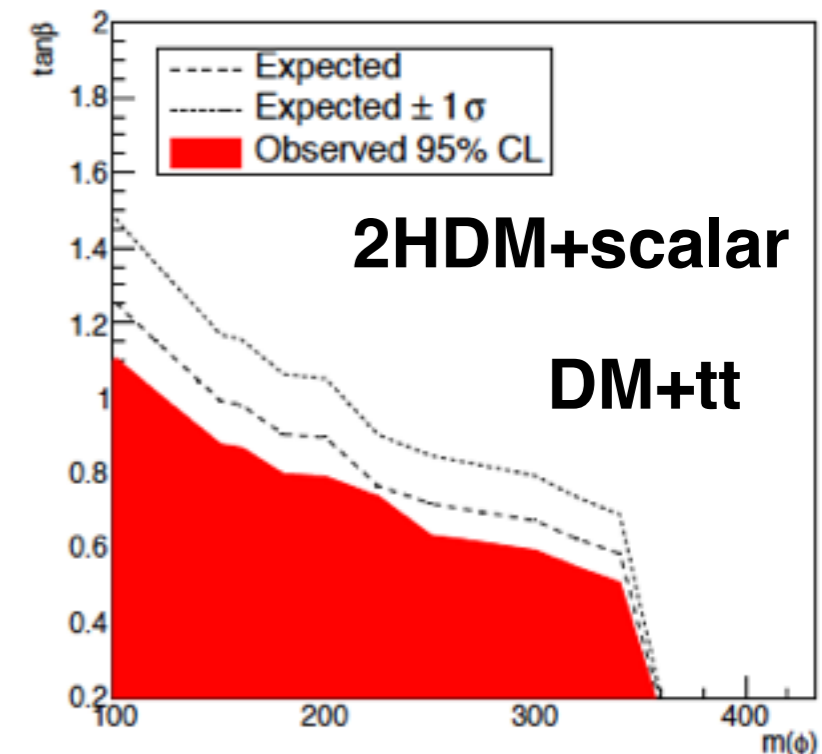
# Signatures without resonant production modes

# DM + heavy flavour

- Signal samples: rescaling possible from Simplified Model

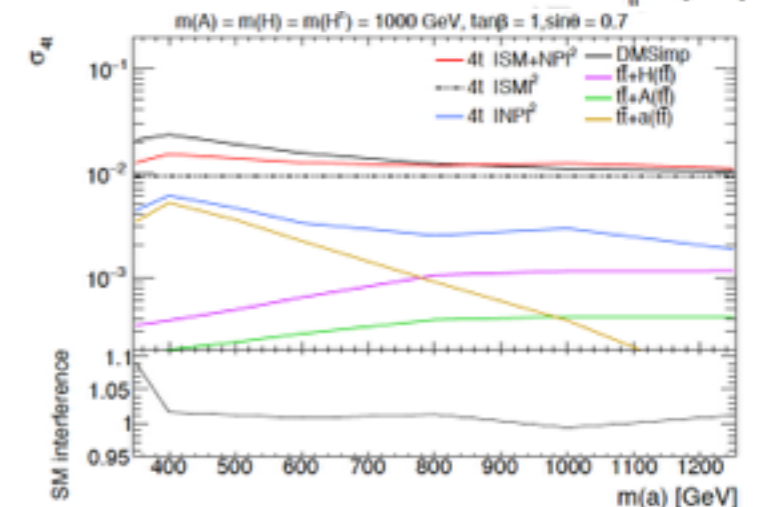
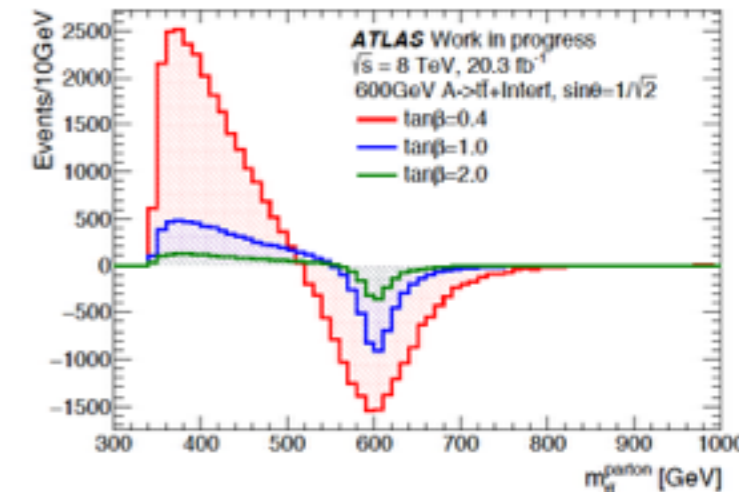
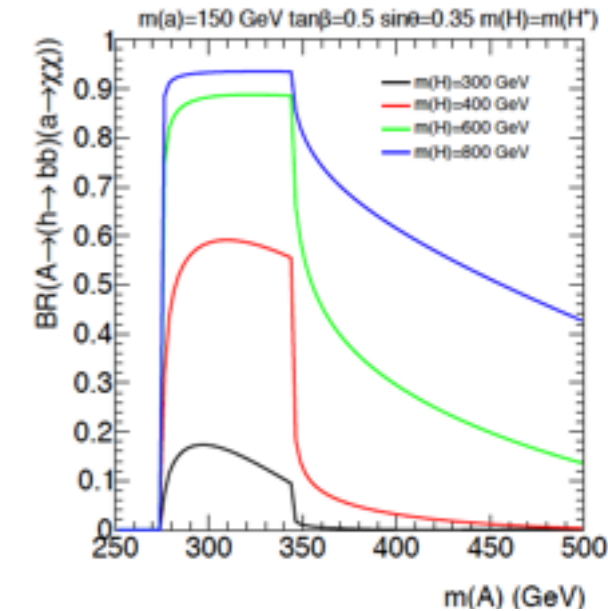


- small  $\tan(\beta)$ : couplings of  $A$  and  $a$  to down-type quarks are heavily suppressed irrespectively of the Yukawa assignment  
 $\rightarrow$  DM+bb needs high  $\tan(\beta)$
- Kinematics don't depend on  $\tan(\beta)$  or  $\sin(\theta)$
- $E_T^{\text{miss}}$  and leading and trailing top quark  $p_T$  distributions get harder with increasing  $M_a$ 
  - For  $M_A < M_a$  same trend with  $M_A$
- Usually  $a \rightarrow \chi \chi$  is dominant, but depends on  $\tan(\beta)$
- Interesting bounds also on model with scalar mediator



# Other signatures

- **(DM+) tth / (DM+) ttZ:**
  - can have sizeable contribution, importance depends on model parameters
  - further studies needed to understand interplay and complementarity wrt other signatures
- **ttbar resonance:**
  - interference effects between signal and SM tt distort signal shape
  - recent analysis: (pseudo-)scalar masses of 500 - 650GeV probed in a minimal 2HDM → similar range possible for 2HDM+a
- **4 tops:**
  - rare but increasingly important signature
  - interesting complementarity with DM + tt



# Conclusions and Outlook

- **Taking the step from Simplified Models for DM production to 2HDM-like extensions allows for**
  - consistent theoretical framework
  - rich phenomenology
  - interesting interplay between signatures due to possible resonant production
- **Constraints and model assumptions allow to reduce free parameters**
  - Proposed following scans:  $M_a$ - $M_A$ ,  $M_a$ - $\tan(\beta)$ ,  $\sin(\theta)$ ,  $M_\chi$
  - Presented results from different signatures
- **Results and studies summarised in DMWG white paper (work in progress!)**
- **Future possibilities**
  - Relax assumption on mass hierarchy  $\rightarrow$  affects possible collider signatures
  - Include di-boson searches  $\rightarrow$  give up alignment limit
  - Comparison with direct and indirect DM searches

# Points of contact with efforts of HXSWG

- **What are the main differences between the models we are using?**
  - HXSWG (based on <https://arxiv.org/pdf/1610.07922.pdf>):
    - different 2HDM scenarios → no DM
    - inert 2HDM → one of the Higgses is DM, different phenomenology
    - Largest overlap: 2HDM and SM singlet → DM would be spin-0
      - For us: fermionic DM
    - NMSSM scenarios → possible overlap
- **Which aspects of our model would be most interesting for you and where could we collaborate?**
  - Comments and discussion very welcome!
    - Contact: [lhc-dmwig-contributors@cern.ch](mailto:lhc-dmwig-contributors@cern.ch)