

# Implications of $B$ anomalies: from EFTs to models

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# Outline

## 1 EFT implications

- $b \rightarrow s\ell^+\ell^-$
- $b \rightarrow c\tau\nu$
- Tree-level models

## 2 New physics in $b \rightarrow c\ell\nu$

## 3 Flavour Anomalies in MFPC

## 1 EFT implications

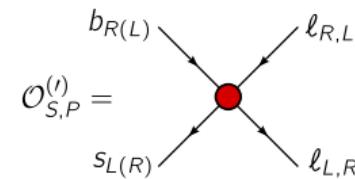
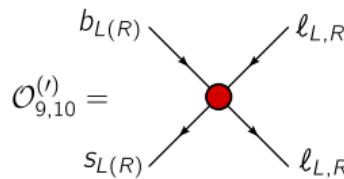
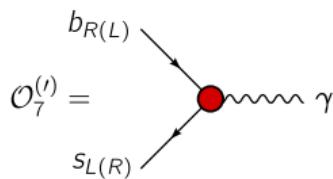
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## 2 New physics in $b \rightarrow c\ell\nu$

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# Effective theory for $b \rightarrow s\ell^+\ell^-$

$$\mathcal{H}_{\text{eff}} = -\frac{4G_F}{\sqrt{2}16\pi^2} V_{tb} V_{ts}^* \sum_i C_i O_i + \text{h.c.}$$



$$O_7^{(\prime)} = \frac{m_b}{e} (\bar{s} \sigma_{\mu\nu} P_{R(L)} b) F^{\mu\nu}$$

$$O_8^{(\prime)} = \frac{m_b g_s}{e^2} (\bar{s} \sigma_{\mu\nu} T^a P_{R(L)} b) G^{a\mu\nu}$$

$$O_9^{(\prime)} = (\bar{s} \gamma_\mu P_{L(R)} b) (\bar{\ell} \gamma^\mu \ell)$$

$$O_{10}^{(\prime)} = (\bar{s} \gamma_\mu P_{L(R)} b) (\bar{\ell} \gamma^\mu \gamma_5 \ell)$$

$$O_S^{(\prime)} = (\bar{s} P_{R(L)} b) (\bar{\ell} \ell)$$

$$O_P^{(\prime)} = (\bar{s} P_{R(L)} b) (\bar{\ell} \gamma_5 \ell)$$

# Model-independent fits to $b \rightarrow s\ell^+\ell^-$

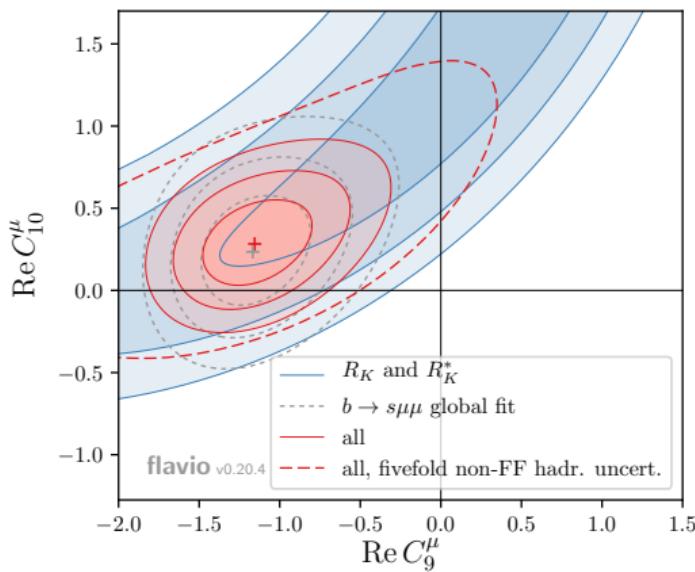
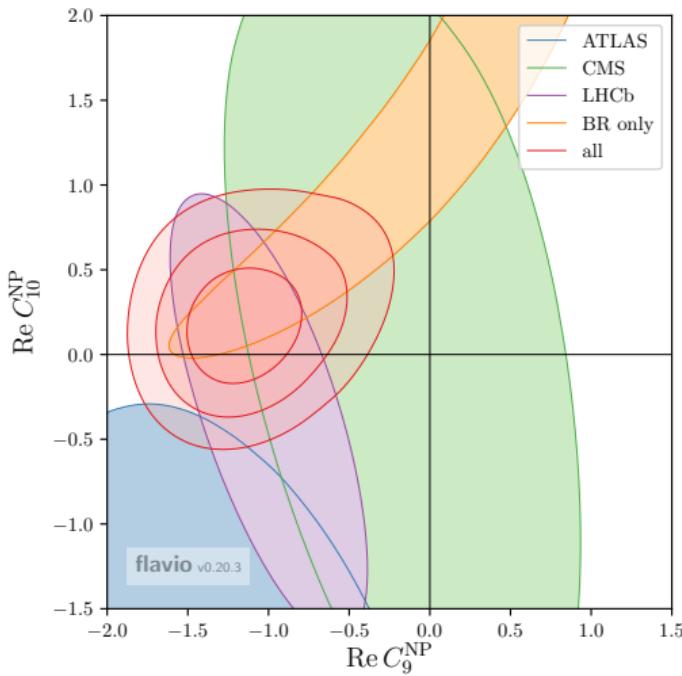
$b \rightarrow s\mu^+\mu^-$  only (not using  $R_{K^*}$ ) Altmannshofer et al. 1703.09189

Coeff.	best fit	$1\sigma$	$2\sigma$	pull
$C_9^\mu$	-1.21	[-1.41, -1.00]	[-1.61, -0.77]	$5.2\sigma$
$C_{10}^\mu$	+0.79	[+0.55, +1.05]	[+0.32, +1.31]	$3.4\sigma$
$C_9^\mu = -C_{10}^\mu$	-0.67	[-0.83, -0.52]	[-0.99, -0.38]	$4.8\sigma$

$R_{K^*}$  only Altmannshofer et al. 1704.05435

Coeff.	best fit	$1\sigma$	$2\sigma$	pull
$C_9^\mu$	-1.59	[-2.15, -1.13]	[-2.90, -0.73]	$4.2\sigma$
$C_{10}^\mu$	+1.23	[+0.90, +1.60]	[+0.60, +2.04]	$4.3\sigma$
$C_9^\mu = -C_{10}^\mu$	-0.64	[-0.81, -0.48]	[-1.00, -0.32]	$4.2\sigma$

# $C_9^\mu$ vs. $C_{10}^\mu$



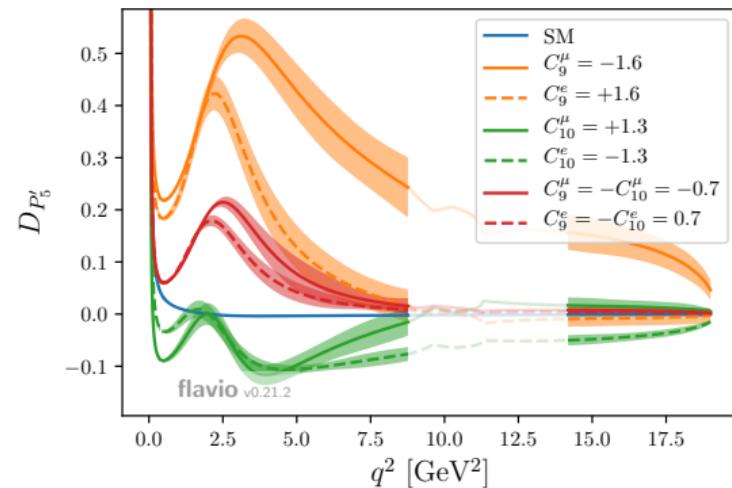
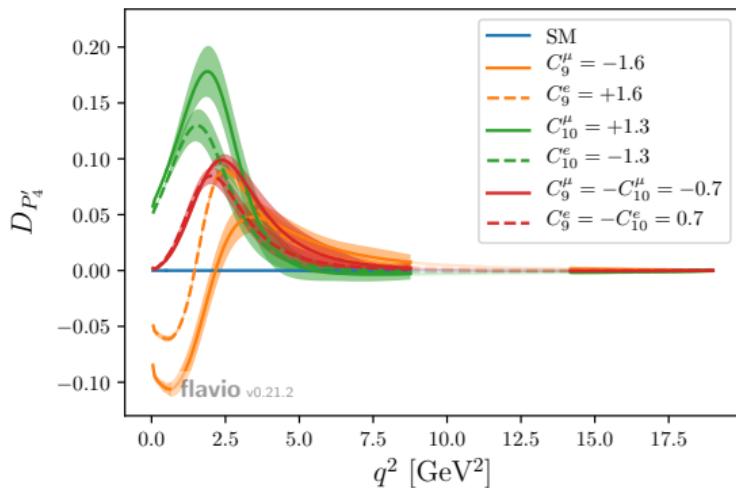
# Some comments

- ▶ Mind-boggling consistency between  $b \rightarrow s\mu^+\mu^-$  branching ratios, angular observables,  $R_K$ , and  $R_{K^*}$
- ▶ Solutions to  $R_{K^{(*)}}$  invoking NP in electrons only and large charm effects in  $B \rightarrow K^*\mu^+\mu^-$ : too much of a stretch IMO
- ▶ But of course more elaborate models may feature NP in electrons and muons, primed and unprimed, ...

See also Capdevila et al. 1704.05340, Geng et al. 1704.05446, D'Amico et al. 1704.05438, Hurth et al. 1705.06274

# Future measurements

... and, yes, angular observables in  $B \rightarrow K^* e^+ e^-$  will be able to disentangle different hypotheses that all explain  $R_{K^{(*)}}$  [Talk by J. Matias, L. Silvestrini](#)



Altmannshofer et al. 1704.05435,  $D_{P'_5} \equiv Q_5$  first defined in Altmannshofer and Yavin 1508.07009

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- Tree-level models

## 2 New physics in $b \rightarrow c\ell\nu$

## 3 Flavour Anomalies in MFPC

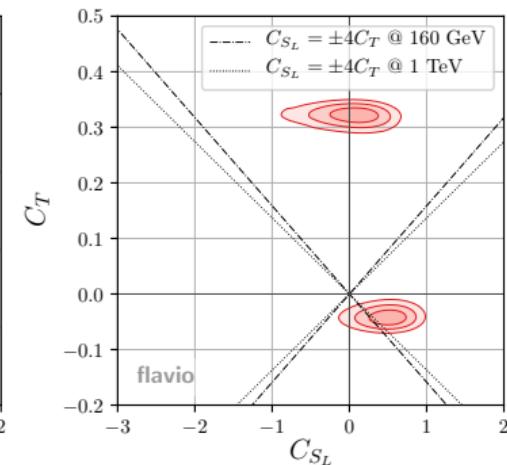
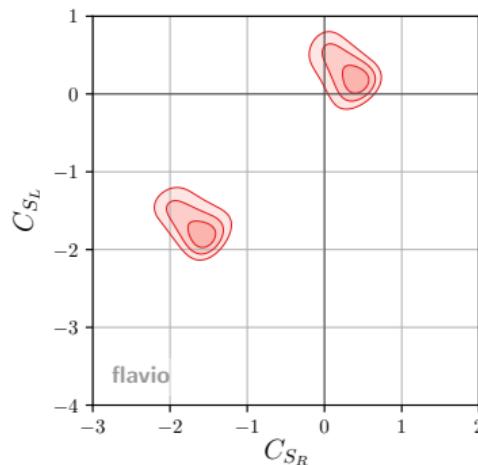
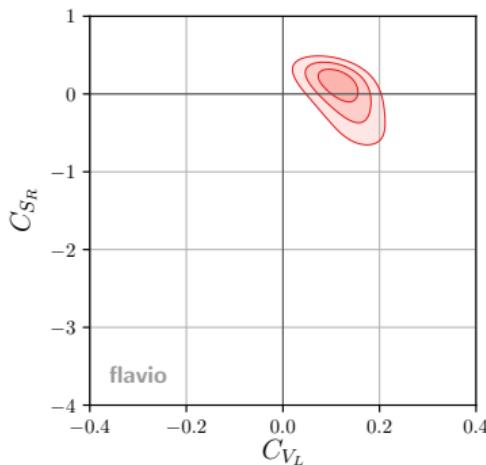
# Effective theory for $b \rightarrow c\tau\nu$

$$\mathcal{H}_{\text{eff}} = \frac{4G_F}{\sqrt{2}} V_{cb} \left( O_{V_L} + \sum_i C_i O_i + \text{h.c.} \right)$$

$$\begin{aligned} O_{V_L} &= (\bar{c}_L \gamma^\mu b_L)(\bar{\ell}_L \gamma_\mu \nu_{\tau L}) & O_{S_R} &= (\bar{c}_L b_R)(\bar{\ell}_R \nu_{\tau L}) & O_T &= (\bar{c}_R \sigma^{\mu\nu} b_L)(\bar{\ell}_R \sigma_{\mu\nu} \nu_{\tau L}) \\ O_{V_R} &= (\bar{c}_R \gamma^\mu b_R)(\bar{\ell}_L \gamma_\mu \nu_{\tau L}) & O_{S_L} &= (\bar{c}_R b_L)(\bar{\ell}_R \nu_{\tau L}) \end{aligned}$$

- $O_{V_R}$  is LFU at dimension 6 in SMEFT (can only arise from modification of  $\bar{c}_R b_R W$  vertex) ⇒ ignore
- Ignoring  $b \rightarrow c\tau\nu_{e,\mu}$  for simplicity (contributions relevant in concrete models!)

# Model-independent fit to $b \rightarrow c\tau\nu$



- ▶ Fit to  $R_D, R_{D^*}, B_C \rightarrow \tau\nu$  cf. Akeroyd and Chen 1708.04072
- ▶ Not a full fit:  $d\Gamma/dq^2$ ,  $\tau$  pol.,  $R_{J/\psi}$  missing

# Combined explanations: SMEFT considerations

- ▶ Heavy NP must respect  $SU(2)_L \times U(1)_Y$  gauge invariance  $\Rightarrow D = 6$  SMEFT (ignoring non-linear HEFT) Alonso et al. 1407.7044, Aebischer et al. 1512.02830, ...
- ▶ Only considering operators that affect  $b \rightarrow s\mu^+\mu^-$ ,  $b \rightarrow c\tau\nu$ , violate LFU

$b \rightarrow s\mu^+\mu^-$

- ▶  $[C_{lq}^{(1)}]^{2223} \rightarrow C_9 = -C_{10}$
- ▶  $[C_{lq}^{(3)}]^{2223} \rightarrow C_9 = -C_{10}$
- ▶  $[C_{ld}]^{2223} \rightarrow C_9 = C_{10}$

through RG mixing:

- ▶  $[C_{lu}]^{2233} \rightarrow C_9 = -C_{10}$  Celis et al. 1704.05672

\*(basis where  $M_{d,I}$  are diagonal)

$b \rightarrow c\tau\nu$

- ▶  $[C_{lq}^{(3)}]^{33i3} \rightarrow C_{V_L}$
- ▶  $[C_{ledq}]^{333i*} \rightarrow C_{S_R}$
- ▶  $[C_{lequ}^{(1)}]^{333i} \rightarrow C_{S_L}$
- ▶  $[C_{lequ}^{(3)}]^{333i} \rightarrow C_T$

through RG mixing: no qualitative change  
González-Alonso et al. 1706.00410

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# Tree-level models

Model	$C_{lq}^{(1)}$	$C_{lq}^{(3)}$	$C_{qe}$	$C_{lu}$	$C_{ledq}$	$C_{lequ}^{(1)}$	$C_{lequ}^{(3)}$
$Z'$	×			×	×		
$V'$		×					
$H'$					×	×	
$S_1$	×	×				×	×
$R_2$				×	×		×
$S_3$	×	×					
$U_1$	×	×			×		
$U_3$	×	×				×	
$V_2$			×			×	
$\tilde{V}_2$				×			

## 1 EFT implications

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# New physics in $b \rightarrow c\ell\nu$ Jung and Straub 1801.01112

- We have hints for e- $\mu$  LFUV in  $b \rightarrow s$  and  $\mu$ - $\tau$  LFUV in  $b \rightarrow c$
- Elephant in the room: should look for  $\mu$ - $\tau$  LFUV in  $b \rightarrow s$  and e- $\mu$  LFUV in  $b \rightarrow c$  as well!

$b \rightarrow c\ell\nu$  with  $\ell = e, \mu$

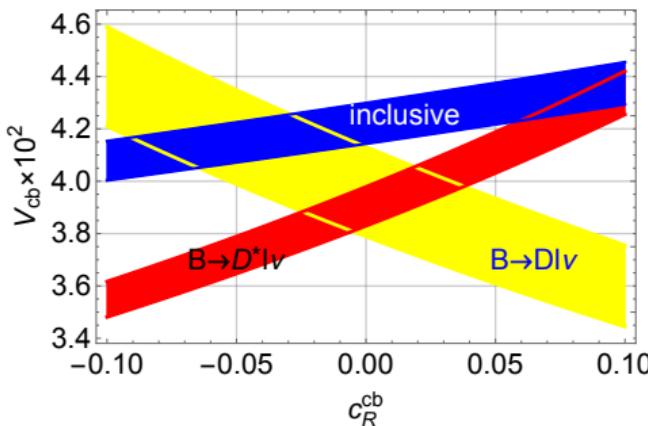
- Exclusive  $B \rightarrow D^{(*)}\ell\nu$  & inclusive  $B \rightarrow X_c\ell\nu$  use to measure  $V_{cb}$
- Long-standing tension, hard to solve with NP Crivellin and Pokorski 1407.1320,  
Colangelo and De Fazio 1611.07387

# $b \rightarrow c\ell\nu$ : recent developments

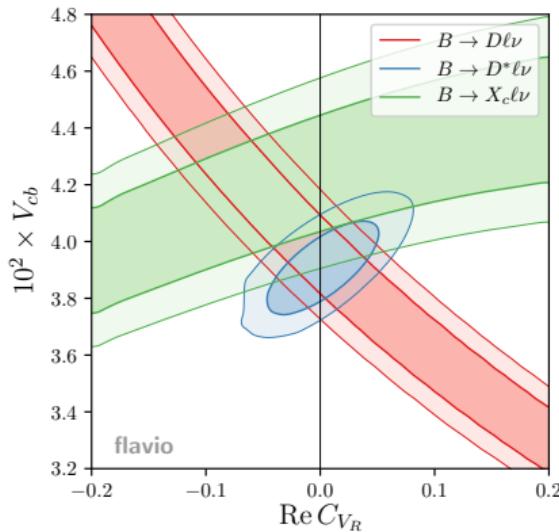
- ▶ Updated lattice FFs [Talk by A. Kronfeld](#)
  - ▶  $B \rightarrow D$  [Na et al. 1505.03925](#), [Bailey et al. 1503.07237](#)
  - ▶  $B \rightarrow D^*$  zero recoil [Bailey et al. 1403.0635](#), [Harrison et al. 1711.11013](#)
- ▶ New measurements (BaBar, Belle)
  - ▶ Differential branching ratios (not dependent on FF model)
  - ▶ Angular observables in  $B \rightarrow D^*\ell\nu$
  - ▶ Some analysis split by e/ $\mu$
- ▶ Form factor discussion [Talk by P. Gambino](#)
  - ▶ CLN uncertainties underestimated in the past [Bernlochner et al. 1703.05330](#), [Bigi et al. 1707.09509](#)
  - ▶  $V_{cb}$  fits: can use BGL/BCL and fit FF from data [Bigi and Gambino 1606.08030](#),  
[Grinstein and Kobach 1703.08170](#), [Bigi et al. 1703.06124](#), [Bernlochner et al. 1708.07134](#)
  - ▶ here: use CLN with proper error estimates, lattice, LCSR [Faller et al. 0809.0222](#) to predict FFs and extract NP

# Right-handed currents

(Recall  $C_{V_R}$  predicted to be LFU at  $D = 6$  in SMEFT)



update of Crivellin and Pokorski 1407.1320



- ▶ Differential/angular distributions in  $B \rightarrow D^*\ell\nu$  alone allow to exclude large RHC

# Scalar operator: endpoint effect

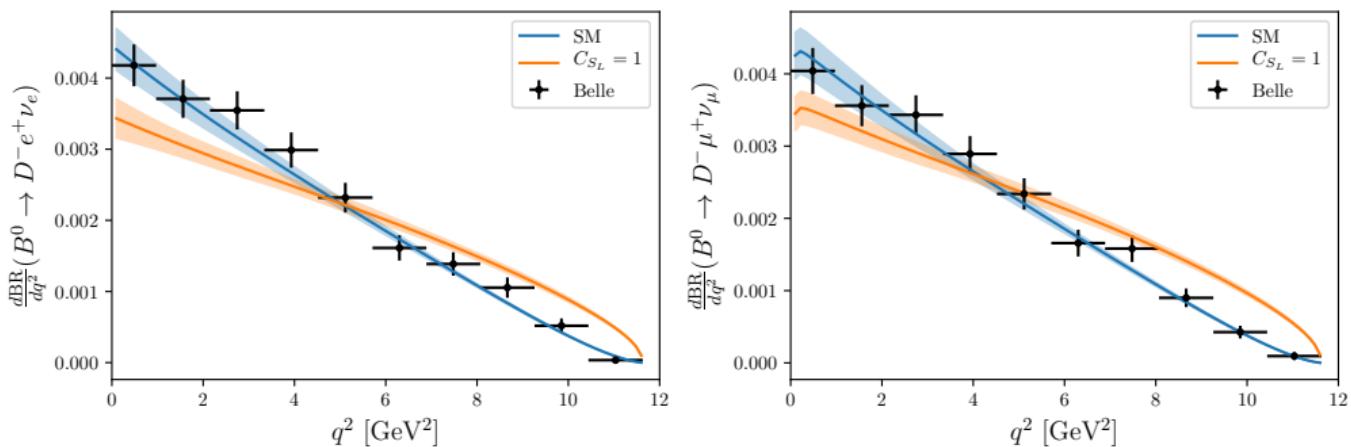
- At  $q^2 \rightarrow q_{\max}^2$ , SM & scalar contribution have behave differently:

$$\frac{d\Gamma(B \rightarrow D\ell\nu)}{dq^2} \Big|_{\text{SM}} \propto f_+^2 (q^2 - q_{\max}^2)^{3/2}$$

$$\frac{d\Gamma(B \rightarrow D\ell\nu)}{dq^2} \Big|_{C_{S_L,R}} \propto f_0^2 |C_{S_R} + C_{S_L}|^2 (q^2 - q_{\max}^2)^{1/2}$$

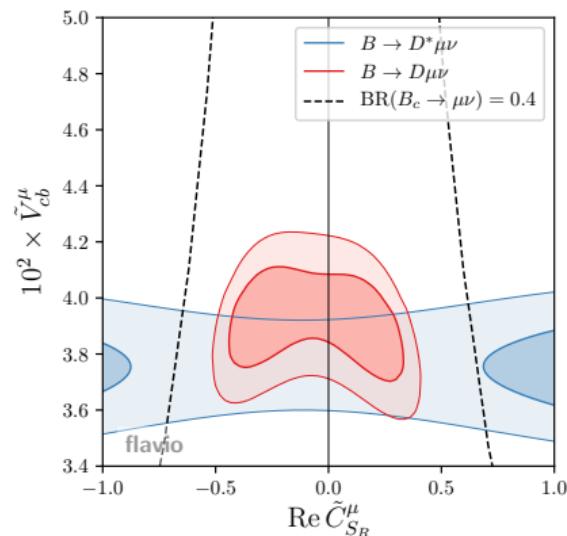
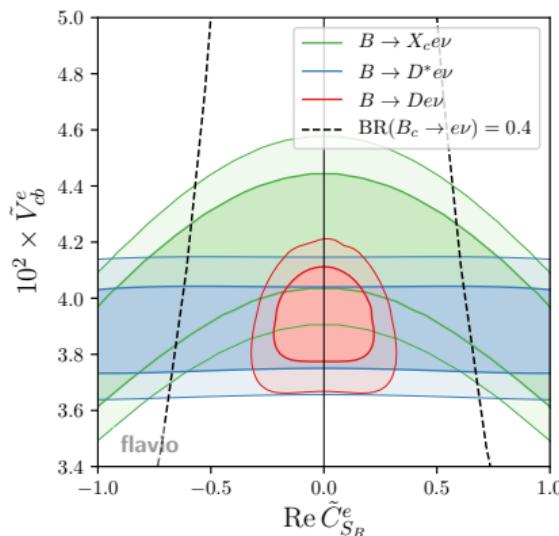
- Last bin is extremely sensitive to scalar operators (much more than total rate!)

cf. Nierste et al. 0801.4938, Hiller and Zwicky 1312.1923



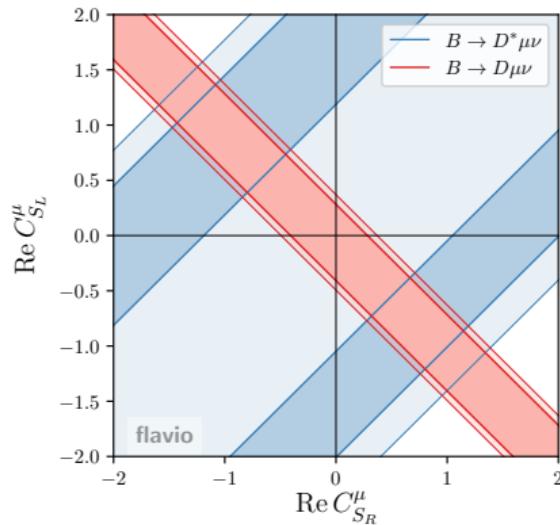
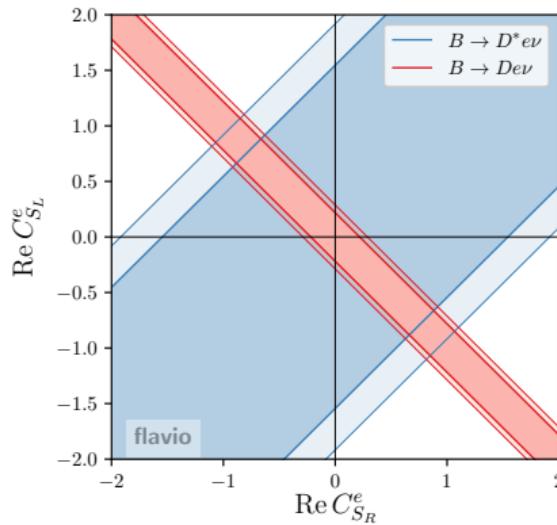
# Scalar operators

- Fit to  $C_{S_R}$  and  $\tilde{V}_{cb} = V_{cb}(1 + C_{V_L})$  (as e.g. in  $U_1$  and  $V_2$  LQ models)
- Large effects excluded by  $B \rightarrow D\ell\nu$  due to endpoint sensitivity!
- $B \rightarrow D\ell\nu$  stronger than  $B_c$  lifetime constraint (thanks to J. Camalich)



# Scalar operators

- $C_{S_R}$  vs.  $C_{S_L}$  (e.g. charged Higgs)
- slight preference for non-standard values  $C_{S_R}^\mu \sim -C_{S_L}^\mu$  in muons (but large values in conflict with  $B_C$  lifetime)

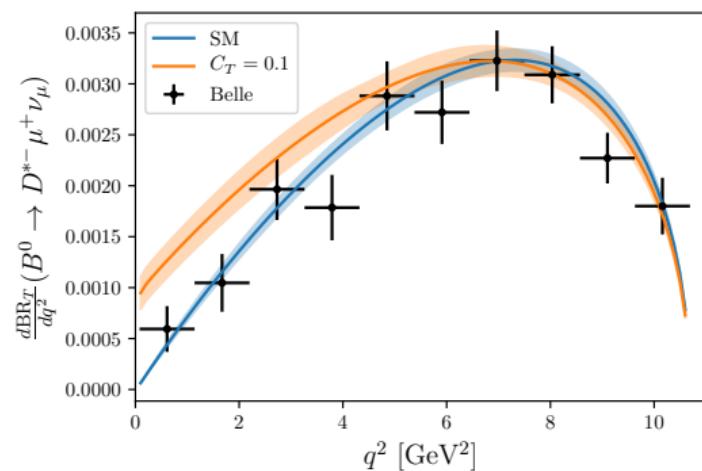
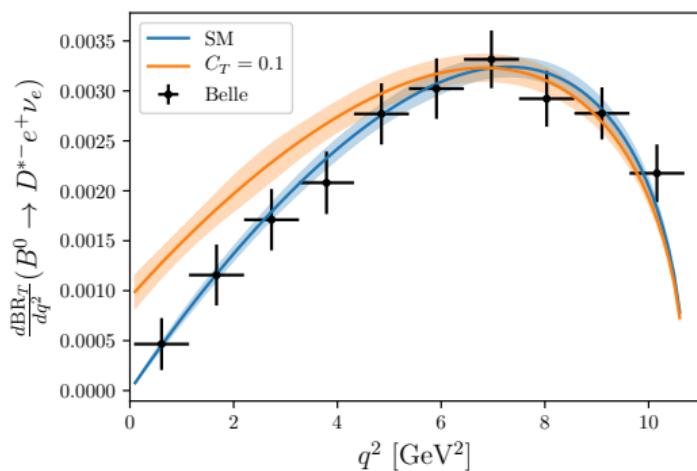


# Tensor operator: endpoint effect

- At  $q^2 \rightarrow 0$ , SM contribution to  $B \rightarrow D^*\ell\nu$  is fully longitudinal, tensor contribution isn't

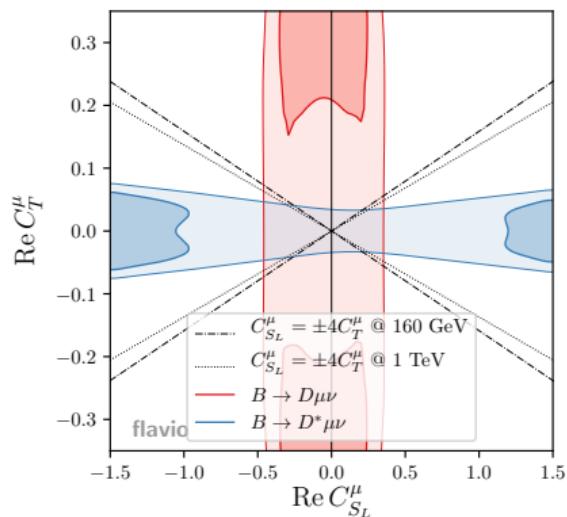
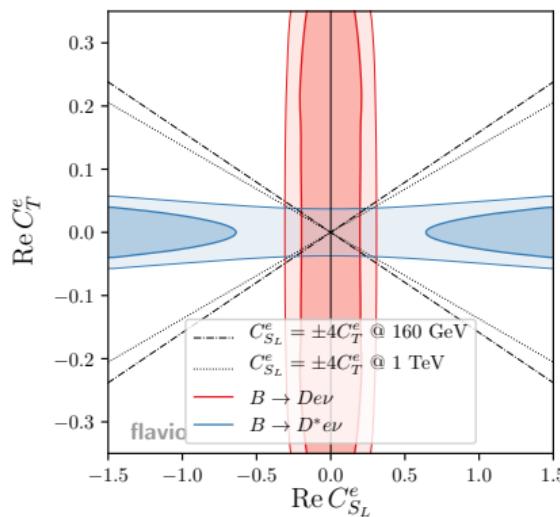
$$\frac{d\Gamma_T(B \rightarrow D^*\ell\nu)}{dq^2} \propto q^2 C_{V_L}^2 \left( A_1(0)^2 + V(0)^2 \right) + 16m_B^2 C_T^2 T_1(0)^2 + O\left(\frac{m_{D^*}^2}{m_B^2}\right)$$

- First bin of  $\Gamma_T$  is extremely sensitive to  $C_T$  (much more than total rate!)



# Fit: scalar vs. tensor operator

- ▶ Fit to  $C_{S_L}$  and  $C_T$
- ▶  $C_{S_L} = +4C_T$  predicted at matching scale by  $R_2$ ,  $C_{S_L} = -4C_T$  by  $S_1$
- ▶  $B \rightarrow D\ell\nu$  and  $B \rightarrow D^*\ell\nu$  nicely complementary due to endpoint effects



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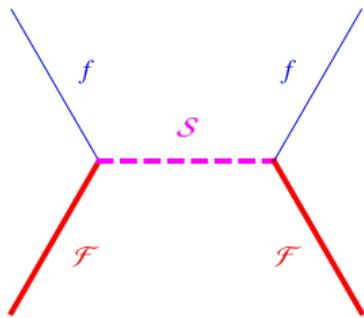
# Fundamental Partial Compositeness (FPC)

Sannino et al. 1607.01659

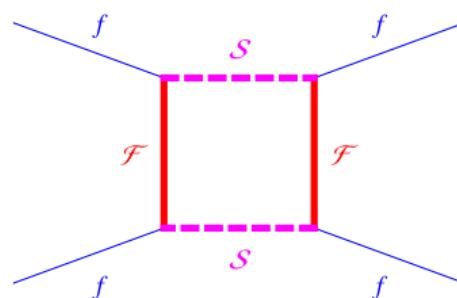
- ▶ Partial compositeness: crucial ingredient of viable composite Higgs models

$$\mathcal{L} \supset \lambda q Q$$

- ▶ Composite fermion  $Q$ : hard to realize if  $Q$  is “baryon”
- ▶ UV completion possible if  $Q$  is scalar-fermion bound state:  $Q \sim \mathcal{FS}$



Fermion masses  
 $ff\mathcal{FF} \sim ffH$

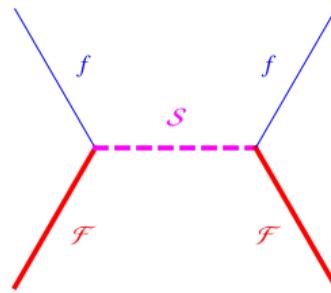


Flavour physics  
 $f^4$

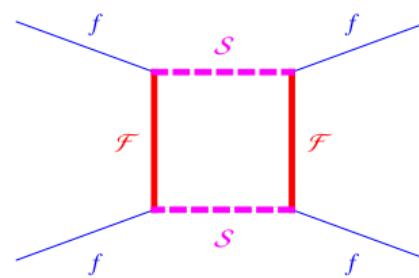
# Minimal FPC

Cacciapaglia et al. 1704.07845

- Gauge group  $\text{Sp}(N_{TC})$
- NB: EW symmetry broken by (composite) Higgs VEV, not by condensate!
- Global symmetry breaking coset  $\text{SU}(4)/\text{Sp}(4) \sim \text{SO}(6)/\text{SO}(5)$
- Scalar sector invariant under global  $\text{Sp}(2N_S) = \text{Sp}(24)_S$



Fermion masses  
 $ff\mathcal{FF} \sim ffH$



Flavour physics  
 $f^4$

# EFT for FPC

- ▶ EFT with operators invariant under the full global symmetries of the theory → match to weak effective theory
- ▶ All low-energy phenomenology fixed in terms of fundamental parameters of the UV theory and Wilson coefficients of TC operators

$$\mathcal{O}_{4f}^1 = \frac{1}{64\pi^2 \Lambda_2} (\psi^{i_1 a_1} \psi^{i_2 a_2}) (\psi^{\dagger i_3 a_3} \psi^{\dagger i_4 a_4}) \Sigma^{a_1 a_2} \Sigma_{a_3 a_4}^{\dagger} \epsilon_{i_1 i_2} \epsilon_{i_3 i_4}$$

...

$$\mathcal{O}_{4f}^8 = \frac{1}{128\pi^2 \Lambda_2} (\psi^{i_1 a_1} \psi^{i_2 a_2}) (\psi^{i_3 a_3} \psi^{i_4 a_4}) \Sigma^{a_1 a_2} \Sigma^{a_3 a_4} (\epsilon_{i_1 i_4} \epsilon_{i_2 i_3} - \epsilon_{i_1 i_3} \epsilon_{i_2 i_4})$$

$$\mathcal{O}_{\Pi f} = \frac{i}{32\pi^2} (\psi^{\dagger i_1 a_1} \bar{\sigma}_\mu \psi^{i_2 a_2}) \Sigma_{a_1 a_3}^{\dagger} \overleftrightarrow{D}^\mu \Sigma^{a_3 a_2} \epsilon_{i_1 i_2}$$

# EFT for FPC

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...

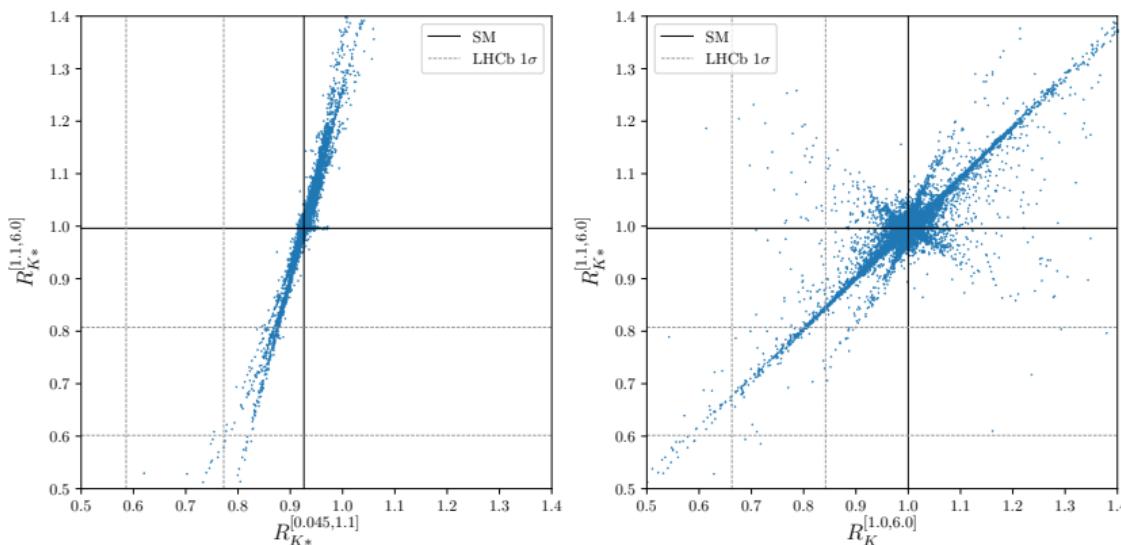
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- ▶ Now: numerical analysis, reproducing masses & mixings of (partially composite) SM spectrum, varying all free parameters (fundamental & “TC-hadronic”)

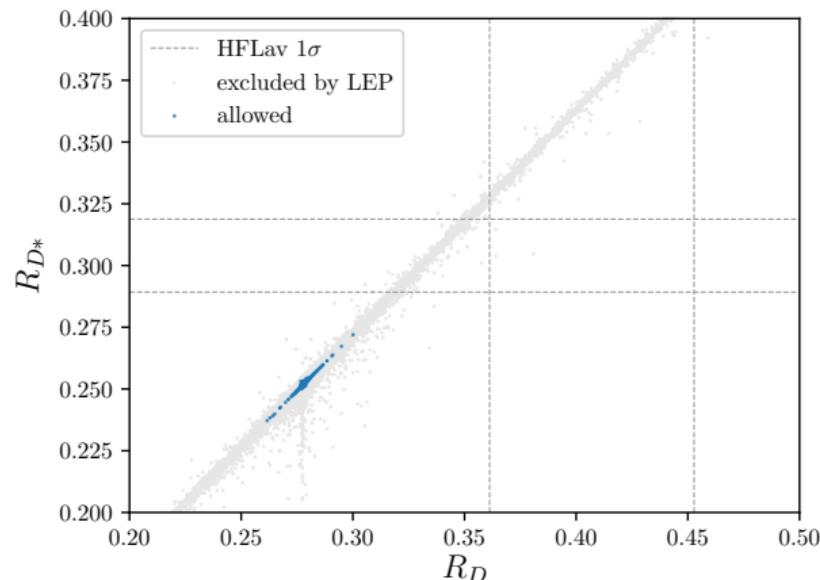
Sannino et al. 1712.07646

Predictions for  $R_{K^{(*)}}$  Sannino et al. 1712.07646



- ▶ Taking into account constraints from Z pole EWPT,  $\Delta F = 2$
  - ▶ We can explain all  $R_{K^{(*)}}$  anomalies!

# Predictions for $R_{D(*)}$ Sannino et al. 1712.07646



- ▶ Taking into account LEP Z pole constraints, we cannot explain  $R_D$  and  $R_{D^*}$

# Conclusions

## 1. EFT implications of anomalies

- ▶ Consistent picture, WC patterns well understood
- ▶ Time for model building [talks]

## 2. New physics in $b \rightarrow c\ell\nu$ ( $\ell = e, \mu$ )

- ▶ Motivated by  $b \rightarrow c\tau\nu$  &  $V_{cb}$  tensions
- ▶  $B \rightarrow D^*\ell\nu$  angular distribution alone constrains RH currents
- ▶ kinematic endpoint effects strongly constrain scalar & tensor effects

## 3. Flavour anomalies in Minimal Fundamental Partial Compositeness

- ▶ UV completion for composite Higgs models
- ▶  $R_{K^{(*)}}$  anomalies explained while satisfying  $\Delta F = 2$  & EWPT
- ▶ Slight enhancement of  $R_{D^{(*)}}$  possible, but solution of anomalies precluded by LEP

# Backup

# flavio advertisement backup slide

Numerics powered by

flavio – a Python package for flavour phenomenology in the SM & beyond

- ▶ Documentation: <https://flav-io.github.io/>
- ▶ Code: <https://github.com/flav-io/flavio>

Now directly supports new physics in terms of SMEFT operators

Aebischer et al. 1712.05298